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DOI: https://doi.org/10.1093/mnras/stu2466

Posted at the Zurich Open Repository and Archive, University of Zurich
ZORA URL: https://doi.org/10.5167/uzh-121952
Journal Article
Published Version

Originally published at:
Mollitor, Pol; Nezri, Emmanuel; Teyssier, Romain (2015). Baryonic and dark matter distribution in cosmological simulations of spiral galaxies. Monthly Notices of the Royal Astronomical Society, 447(2):1353-1369.
DOI: https://doi.org/10.1093/mnras/stu2466
Baryonic and dark matter distribution in cosmological simulations of spiral galaxies

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Accepted 2014 November 14. Received 2014 November 14; in original form 2014 May 23

ABSTRACT
We study three cosmological hydrodynamical simulations of Milky Way (MW)-sized haloes including a comparison with the dark matter (DM)-only counterparts. We find one of our simulated galaxies with interesting MW-like features. Thanks to a consistently tuned star formation rate and supernovae feedback we obtain an extended disc and a flat rotation curve with a satisfying circular velocity and a reasonable DM density in the solar neighbourhood. Mimicking observational methods, we re-derive the stellar mass and obtain stellar-to-halo mass ratios reduced by more than 50 per cent. We show the interaction between the baryons and the DM which is first contracted by star formation and then cored by feedback processes. Indeed, we report an unprecedentedly observed effect in the DM density profile consisting of a central core combined with an adiabatic contraction at larger galactic radii. The cores obtained are typically ∼5 kpc large. Moreover, this also impacts the DM density at the solar radius. In our simulation resembling most to the MW, the density is raised from 0.23 GeV cm$^{-3}$ in the DM only run to 0.36 GeV cm$^{-3}$ (spherical shell) or 0.54 GeV cm$^{-3}$ (circular ring) in the hydrodynamical run. Studying the subhaloes, the DM within luminous satellites is also affected by baryonic processes and exhibits cored profiles whereas dark satellites are cuspy. We find a shift in mass compared to DM-only simulations and obtain, for haloes in the lower MW mass range, a distribution of luminous satellites comparable to the MW spheroidal dwarf galaxies.

Key words: methods: numerical – galaxies: formation – galaxies: haloes – galaxies: spiral.

1 INTRODUCTION
If the Λ cold dark matter (ΛCDM) structure formation scenario is successful at large scales, the physics of baryons is dominant for small-scale objects like galaxies. Understanding galaxy formation in a cosmological context is a central question of astrophysics. Starting from first principles, hydrodynamical simulations are the most sophisticated and self-consistent approach to address this question (see Vogelsberger et al. 2014b, for a recent achievement). A key issue is to form realistic spiral galaxies like the Milky Way (MW). Even if the formation of discs and spirals was observed in the first hydrodynamical simulations (Katz & Gunn 1991), until recently the simulations exhibited generic problems known as the overcooling and the angular momentum problems (Navarro & White 1994). Typically simulations produced objects that were too contracted with a star formation rate (SFR) that was too high, especially at high redshifts, giving birth to massive bulges of old stars as well as to discs that were too small. Consequently, they show some problems with regard to observations like too peaked rotation curves or stellar-to-halo mass ratios that were too high (Scannapieco et al. 2012). These features were encountered for all type of numerical treatments of hydrodynamics (Lagrangian or Eulerian; Scannapieco et al. 2012).

In some way, the question of the baryon distribution in simulations can echo the problem of the dark matter (DM) distribution in the MW (see e.g. Blumenthal et al. 1986; Read et al. 2009; Governato et al. 2010). Actually both have a strong interplay during the galaxy formation history and the resulting DM configuration features, e.g. a cored/cuspy profile in the centre of (sub)haloes, the velocity distribution shape in the solar neighbourhood or a dark disc component, are critical issues for DM searches and identification. Indeed, most of the studies dedicated to DM detection assume DM distribution features inspired from simulations results (see reviews like e.g. Jungman, Kamionkowski & Griest 1996; Bertone, Hooper & Silk 2004; Lavalle & Salati 2012; Peter et al. 2013, and references therein.). Thus, the results born of cosmological simulations and the acquired knowledge about the driving physical mechanisms...
intervening in the formation of MW-like spiral galaxies have crucial implications beyond the field of galaxy formation.

The numerical resolution was first thought to be a possible direction to cure the spiral simulated galaxy morphology (e.g. Governato et al. 2007), but the most popular way to address this issue relies on how subgrid processes deal with the physics of baryons (cooling, star formation, feedback modelling) are achieved. Strictly speaking, star formation and stellar feedback are related in a complex and intricate dependence in the majority of works, as the subgrid parameters depend on the resolution of the simulations (Agertz & Kravtsov 2014; Marinacci, Pakmor & Springel 2014).

Currently, while stellar feedback processes allow us to regulate star formation, a definite equilibrium with alternative schemes or new sources leading to realistic star formation histories (SFHs) has still to be achieved. Lately, a lot of efforts have been expanded on star formation and related feedback processes (e.g. Stinson et al. 2006; Agertz et al. 2013; Teyssier et al. 2013; Vogelsberger et al. 2013; Hopkins et al. 2014; Roskar et al. 2014). Recently, a few interesting works have succeeded to form more realistic spiral galaxies (Agertz, Teyssier & Moore 2011; Guedes et al. 2011; Aumer et al. 2013; Stinson et al. 2013; Marinacci et al. 2014) by tuning the parameters entering in those processes or by introducing specific schemes, especially those involving the stellar feedback.

Namely, the energy injected by stellar feedback processes may inhibit gas accretion. Different directions have been recently investigated. Stinson et al. (2013) implemented early feedback to prevent high-redshift star formation. Others (Scannapieco et al. 2008; Governato et al. 2010; Sales et al. 2010) explored the effect of larger values of the injected amount of supernova (SN) energy per explosion. Such approaches can also lead to the destruction of the DM cusp (Pedrosa, Tissera & Scannapieco 2009; Governato et al. 2010; Di Cintio et al. 2014a). In Marinacci et al. (2014), the introduction of an alternative stellar feedback scheme that consists of kinetic winds that scale with the DM velocity dispersion and that are decoupled from the hydrodynamical phase during their propagation time (Vogelsberger et al. 2013) succeeds in some cases to regulate the morphology of the disc (but preserves a cuspy DM profile). The effect of a supplementary source coming from stellar radiation has been studied in Roskar et al. (2014), but such a scenario leads to the thickening of the disc and the destruction of the spiral structure. Hopkins et al. (2014) have proposed an explicit treatment of the multiphase interstellar medium and the stellar feedback, where the inputs are taken from stellar population models, and their results for the stellar-to-halo mass ratio agree up to $\sim 10^{12} M_\odot$, with predictions for the relation drawn from abundance matching works.

Concerning the parameters intervening in star formation in subgrid models, a higher threshold (Guedes et al. 2011) can suppress star formation at high redshifts and, as a result, avoid the formation of old low angular momentum stars. Additionally, a low star formation efficiency seems necessary to form extended discs in Agertz et al. (2011). However, Hopkins et al. (2014) recently seem to reproduce realistic SFR without adjusting the efficiency by hand thanks to a self-gravitating criterium on the gas density and the aforementioned feedback prescription.

Even if the relevance of the adopted choices can be discussed, those approaches on star formation and stellar feedback are interesting advances in the field to address the remaining questions of MW-like galaxy formation.

In this paper, we show our attempt to produce an MW-like disc galaxy in a cosmological context. Three zoom-in simulations with RAMSES have been performed and we study the baryon and DM properties of the simulations. After a discussion of the properties of the baryonic galactic discs and a comparison with other simulations and recent observations, we focus on the effects baryonic processes can induce into the distribution of DM, both in the case of the central parts of the halo and in the gravitationally bound satellites orbiting in the halo. In particular, we show that one of simulations is able to produce a galaxy with properties that resembles the MW and an environment which resembles that of the MW surrounded by a cored DM halo.

This paper is organized as follows: in Section 2, we describe how we performed our simulations. Then, we analyse the resulting galaxy properties at redshift 0 (Section 3). In Section 4, we discuss the formation history and in Section 5, we study the DM distribution features (main original point of this work) in the halo and its big satellites including a comparison between the DM only runs and the hydrodynamical simulations. Conclusions and perspectives are given in Section 6.

2 THE SIMULATION

In this section, we describe the methodology we applied to perform three high resolution ‘Zoom-in’ simulations in a cosmological framework. We explain how we generated the initial conditions and ran the simulations using different physically motivated recipes in order to reproduce a large number of properties observed for redshift 0 spiral MW-like galaxies.

The analysis of the haloes and their subhaloes was done with the Amiga Halo Finder (AHF; Knollmann & Knebe 2009).

In order to calculate densities and to extract the information of the snapshots, we used the UNSIO package.1 As a visualization tool, we used GLNEMO.2 The analysis and the assessment of the results and the physical properties of our simulated objects were done with our own developed tools.

2.1 Initial conditions

The ‘Zoom-in’ technique we used is a powerful tool to simulate highly resolved structures within a cosmological context while keeping the computational costs reasonably low. We used the MUSC code (Hahn & Abel 2011) to generate the primordial density fluctuations in a periodic 20 Mpc box in a ΛCDM universe at redshift 50, with cosmological parameters $H_0 = 70.3$ km s$^{-1}$ Mpc$^{-1}$, the present-day Hubble constant, $\Omega_m = 0.045$ the baryonic matter density, $\Omega_{\Lambda, 0} = 0.276$ the matter density, $\Omega_{\Lambda, 0} = 0.724$ the vacuum density. First, we ran a DM low-resolution simulation of 256$^3$ particles to redshift 0, where we selected three MW candidate haloes of different masses that had a quiet merger history, i.e. no major merger after redshift 2, and no massive neighbour halo, i.e. 10 percent of the halo’s virial mass, closer than four times their virial radii. More specifically, we chose two haloes in the lower mass range ($\lesssim 10^{12}$ M$\odot$) inferred by stellar kinematics, see, e.g. Bovy et al. (2012; Deason et al. 2012; Kafle et al. 2012) and one halo in the higher mass range ($\sim 1-2 \times 10^{13}$ M$\odot$) favoured by kinematics of satellite galaxies or statistics of large cosmological DM simulations, see e.g. Boylan-Kolchin et al. (2013; Busha et al. 2011) to be resimulated. A discussion on the MW-like virial mass range can be found in the introduction of Piffl et al. (2014). For each halo, we repeated the following procedure: selecting all the particles inside $3.5 R_{vir}$ (see Ohorbe et al. 2014 for a recent study on Lagrangian

1 http://projets.lam.fr/projects/unsio
2 http://projets.lam.fr/projects/glnemo2
volumes in zoom simulations), we located their positions at the beginning of the simulation and increased locally in this volume the effective resolution to 10243 particles, which corresponded to 10 refinement levels of the mesh, a DM mass resolution of 230 812 M⊙, and a baryonic mass resolution of 44 963 M⊙. The high-resolution region is then successively enclosed by five cells of subsequent coarser refinement levels. The mesh of the outer part of the box is kept at refinement level seven. Once the high-resolution initial conditions were set up, we re-ran the simulations until redshift 0. The primary properties of the three haloes are listed in Table 1.

Traditionally, halo properties are given using a so-called virial radius, that defines a sphere in which the mean density \( \rho \) is \( \Delta_{\text{vir}} \) times denser than a certain mean reference density. Here, we take the critical density for a flat Universe \( \rho_\text{crit} = 3H^2(z)/(8\pi G) \). As this definition is borrowed from structure growth theory, its use is not appropriate when one wants to define a physically meaningful halo edge (Cuesta et al. 2008; Zemp 2014). In order to avoid ambiguity and to simplify comparisons, we opted for giving our halo properties for two different \( \Delta_{\text{vir}} \) values, namely 200 (commonly used value) and 97 (the value derived from the spherical top-hat collapse model (Cuesta et al. 2008; Zemp 2014)). In order to avoid ambiguity and to simplify comparisons, we opted for giving our halo properties for two different \( \Delta_{\text{vir}} \) values, namely 200 (commonly used value) and 97 (the value derived from the spherical top-hat collapse model (Cuesta et al. 2008; Zemp 2014)), and put them in the subscript of the quantities we consider.

Haloes B and C do not have any contamination of low-resolution DM particles inside \( R_{\text{vir}} \). Halo A has a minor contamination between 85 kpc and \( R_{\text{vir}} \) of 10 DM particles from lower resolution, but Halo A-DM does not.

### 2.2 The simulation: dark matter and gas dynamics

We use the adaptive mesh refinement code RAMSES (Teyssier 2002) to simulate the DM-only and the hydrodynamical simulations. Particles are modelled using a standard Particle Mesh method (Teyssier 2002).

Once the simulation started, we applied a ‘quasi-Lagrangian’ strategy for triggering additional refinement. Attempting to maintain constant the mass per cell, we refined the cell if the number of DM particles or baryonic (gas + stars) particles contained inside is bigger than eight. This refinement is limited to the high-resolution zone as we use a passive scalar, which initially marked the high-resolution cells. The scalar is advected passively by the flow and allows refinement only if its value is above a certain threshold (here: 1 per cent; Roškar et al. 2014). In order to avoid two-body relaxation effects, we first ran the DM-only simulation and we fixed the maximum refinement to the level this DM-only sibling reaches, i.e. 17 refinement levels corresponding to a spatial resolution of 150 pc.

The gas dynamics is modelled using a second-order unsplit Godunov scheme (Teyssier, Fromang & Dormy 2006), based on the HLLC Riemann solver and the MinMod slope limiter (see Fromang, Hennebelle & Teyssier 2006 for technical details). We assume a perfect gas equation of state, with \( \gamma = 5/3 \).

A particular concern of hydrodynamical simulations is to prevent numerical instabilities and artificial fragmentation: a gas medium that is stable in a theoretical framework is nevertheless prone to be unstable in numerical models when the Jeans length is not well resolved within the numerical scheme (Truelove et al. 1997). In order to ensure this, we use the technique of the ‘polytropic pressure floor’ (Roškar et al. 2014). We define this pressure floor by imposing that the Jeans length is always resolved in at least four resolution elements:

\[
P = \frac{G}{\pi\gamma}(4\Delta x_{\text{min}})^2.\]

When gas pressure hits this pressure floor, we make sure that the gas has reached a minimal temperature and its corresponding maximum density. Using standard cooling recipes, we approximated the gas temperature in equilibrium at solar metallicity by Bournaud et al. (2010)

\[
T_{\text{eq}} = 10^n \left( \frac{n}{0.3} \right)^{-1/2} \text{Kelvin.}
\]

Equating the polytropic pressure floor with the gas pressure and having \( \Delta x_{\text{min}} = 150 \) pc, we set \( T_{\text{min}} = 3000 \) K and \( n = 2.7 \) H cm\(^{-3}\).

Furthermore, we treat the gas thermodynamics using an optically thin cooling and heating function. Hydrogen and helium chemical processes are computed with the assumption of photoionization equilibrium (Katz & Gunn 1991). Metal cooling is also modelled at high and low temperatures, which included infrared hyperfine line cooling. A uniform UV radiation background (Haardt & Madau 1996) is switched on at reionization redshift chosen to be equal to 10. We also use a simple model for self-shielding (Roškar et al. 2014), which reduces the local UV radiation in high-density gas regions and corrects the cooling and heating properties of the concerned gas.

### 2.3 Star formation and feedback

Star formation was modelled via a Schmidt law, where the formation rate was calculated as

\[
\dot{\rho}_* = \epsilon_\star \frac{P_{\text{gas}}}{f_{\text{ff}}} \text{ for } \rho_{\text{gas}} > \rho_\star.
\]

The star formation density threshold \( \rho_\star \) exactly corresponds to the maximum resolvable density defined in Section 2.2. As suggested by

| Run | \( R_{\text{vir}} \) (kpc) | \( M_{\text{tot}} \) (10\(^{10}\) M⊙) | \( M_{\text{gas}} \) (10\(^{10}\) M⊙) | \( M_\star \) (10\(^{10}\) M⊙) | \( M_{\text{dm}} \) (10\(^{10}\) M⊙) | \( N_{\text{cells}} \) | \( N_\star \) | \( N_{\text{dm}} \) | \( M_{\text{200, tot}} \) (10\(^{10}\) M⊙) |
|-----|------------------|------------------|------------------|------------------|------------------|------------------|------------------|------------------|------------------|
| A   | 344.9            | 227.52           | 23.96            | 18.23            | 185.32           | 8027 923         | 6227 518         | 11 656 318       | 253.69           |
| A-DM| 329.28           | 19.79            | 7.96             | 5.58             | 57.49            | 2491 015         | 2153 777         | 39 100.86        | 164.13           |
| B   | 233.99           | 71.04            | 7.96             | 5.58             | 57.49            | 2491 015         | 2153 777         | 39 100.86        | 164.13           |
| B-DM| 220.85           | 59.73            | 7.96             | 5.58             | 57.49            | 2491 015         | 2153 777         | 39 100.86        | 164.13           |
| C   | 244.60           | 81.15            | 9.58             | 5.50             | 6.60             | 2862 113         | 2560 388         | 41 214.29        | 181.83           |
| C-DM| 236.41           | 73.27            | 9.58             | 5.50             | 6.60             | 2862 113         | 2560 388         | 41 214.29        | 181.83           |

| Run | \( R_{\text{vir}} \) (kpc) | \( M_{\text{tot}} \) (10\(^{10}\) M⊙) | \( M_{\text{gas}} \) (10\(^{10}\) M⊙) | \( M_\star \) (10\(^{10}\) M⊙) | \( M_{\text{dm}} \) (10\(^{10}\) M⊙) | \( N_{\text{cells}} \) | \( N_\star \) | \( N_{\text{dm}} \) | \( M_{\text{200, tot}} \) (10\(^{10}\) M⊙) |
|-----|------------------|------------------|------------------|------------------|------------------|------------------|------------------|------------------|------------------|
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observations (Krumholz & Tan 2007), the star formation efficiency parameter is set to a low value $\epsilon_* = 0.01$. This value is known to reproduce the Kennicutt–Schmidt relation quite well in comparable simulations (Agertz et al. 2011), even though the physical star formation efficiency has more complex environmental dependences (Gnedin & Kravtsov 2011). We use a stochastic model (Rasera & Teyssier 2006) to create star particles of constant mass which are equal to the baryonic resolution of the simulation. Once a cell is flagged for forming stars, it creates $N$ stars where $N$ is computed from a Poisson process with Poisson parameter $\lambda = \rho \Delta x^3 \Delta t / m_*$, $\Delta t$ being the simulation time step. According to the required rate, the star particles were then spawned in the cell. They received a velocity equal to the local fluid velocity. The corresponding mass, momentum and internal energy were removed from the gas of the parent cell.

SN feedback is modelled as thermal energy injection into the exploding star particle containing cell. After 10 Myr, each star particle releases 20 per cent of its mass. This corresponds to a Chabrier initial mass function (IMF; Chabrier 2001) per single stellar population (SSP) undergoing a SN. 10 per cent of the ejected mass is added to the metal content of the cell. Similar to the high-resolution cell flag, the metal fraction is advected passively by the hydrodynamical flow.

Furthermore, we use the implementation of Teyssier et al. (2013) and inject the SN energy in a non-thermal component. The model tries to capture astrophysical non-thermal processes that are known to occur in SN remnants, e.g. turbulence or cosmic rays, that cannot be resolved within current simulations, but, on the other hand, they are able to reach energy densities that can significantly affect the dynamics of the propagating shock wave. These processes decrease with longer dynamical time-scales compared to gas cooling, so that they gradually return energy back to the gas. The time evolution of this non-thermal energy can be described by

$$\rho \frac{d E_{\text{NT}}}{dt} = E_{\text{inj}} - \frac{\rho E_{\text{NT}}}{\tau_{\text{diss}}}$$

and is eventually driven by the non-thermal energy source $E_{\text{inj}}$ due to SN and the energy dissipation rate $\tau_{\text{diss}}$ that we fixed to 20 Myr. In practice, instead of modifying the hydrodynamical solver, the implementation adds the non-thermal pressure component directly to the total gas pressure. As long as the non-thermal pressure in a gas cell is superior to the thermal component, cooling was neglected and was re-activated when non-thermal becomes comparable to the thermal energy (Teyssier et al. 2013).

Because our spatial resolution is about of the order of magnitude of the galactic disc height, it cannot capture the physics of individual molecular clouds. As a consequence, the star formation scheme tends to produce a spuriously homogenous distribution of young stars and, consequently, the associated feedback is similarly located. Therefore, we chose to model stochastically exploding clouds (Roškar et al. 2014): when a star particle reaches the required age, we draw a random number $x$ between 0 and 1. If $x$ is lower than the ratio of the star mass $m_*$ and the typical mass for giant molecular clouds (GMCs) in a galaxy $M_{\text{GMC}}$ that we set to $2 \times 10^6 M_\odot$ (Krumholz, McKee & Tumlinson 2009), an SN event is triggered. The released energy is then multiplied by the factor $M_{\text{GMC}}/m_*$. In the end, these rare but more powerful explosion events conserve the total SN energy and are closer to the energy released by individual GMCs in a disc galaxy.

3 THE GALAXY AT REDSHIFT 0

This section analyses the morphology of the simulated galaxies at redshift 0. Stellar and gaseous discs are compared to observations. As we already stated, even though we chose three MW-like DM haloes for resimulation (Halo A is in the middle of MW-like galaxy mass range and halo B and C are at the lower end. See Section 2.1 for the justification of our selection.), only one galaxy (Halo B) exhibits properties similar to the MW. Therefore, we will describe this galaxy more in detail without forgetting the results obtained for the other haloes where we kept the same star formation and feedback recipes.

3.1 Stellar discs

In Figs 1 and 2, we show the side-on and face-on projection of the stellar luminosities of our simulated haloes in the $U$ and $K$ bands. The size of one grid cell is 5 kpc $\times$ 5 kpc. After extracting the halo from the simulation, we centred the particle positions on the highest stellar density. We diagonalized the position tensor of the star particles and rotated the positions accordingly, with the result that the stellar disc lies in the $x$-$y$ plane. The luminosities were computed using the code CDM 2.5.3 More specifically, we obtained the integrated magnitude for SSP per solar mass, taking into account isochrones from Marigo et al. (2008), and assumed a Chabrier IMF and no dust absorption. As a photometric system, we selected $UBVRIJK$ bands with Bessell filters. Then, we assigned the magnitudes to each stellar particle considering its age and metal content and converted the magnitudes to luminosities.

Halo A and Halo B show pronounced spiral disc features whereas Halo C has a much smaller stellar disc. The DM Haloes B and C have almost the same mass whereas Halo A has a mass three times higher. It is therefore not surprising that Halo A developed a more massive stellar disc.

In order to quantify the stellar disc properties and to compare our results with observations, we calculated the photometric surface brightness for different bands shown in Fig. 3. We projected the stars into the $x$-$y$ plane, summed the luminosity in circular annuli and divided the total luminosity per bin by the surface area to get the surface brightness. Moving away from the galactic centre, it can be seen that the surface brightness decreases exponentially in all bands. At the centre, in every simulated halo, we additionally find an excess on top of the disc component, generally called the galactic bulge. Interestingly, Halo B presents an excess in the radius range 15–20 kpc due to the presence of its massive elongated spiral arms. This feature is more pronounced in the shorter wavelengths ($U$ and $B$ band), because its spiral arms host massive star-forming regions inside giant gas clouds (see Fig. 1).

As a next step, we performed a two-component fit of the brightness density profiles in the $I$ band (green dashed line in Fig. 3), where we fitted the central bulge with a Sérsic profile and, at the same time, the disc component with an exponential profile (red dotted lines). The best-fitting values are listed in Table 2. We verified that changing the fitting range did not alter too much the best-fitting values.

The central galaxy in Halo A has a disc scalelength of about 2.45 kpc as well as a massive bulge of old stars. The stellar disc reaches out to almost 15 kpc. In Fig. 2, the presence of a massive bar at the galactic centre can be observed.
Halo B has formed a large spiral galaxy whose stellar disc reaches out to almost 20 kpc. The brightness profile is dominated by an exponential disc of scale radius $\sim 3.4$ kpc and a small bulge in the centre. The disc-to-total (D/T) flux ratio in the $I$ band is remarkably high so that the bulge-to-disc (B/D) flux ratio is $\sim 14$ per cent, which is in agreement with expectations for Sbc-type galaxies ($B/D = 0.138^{+0.164}_{-0.083}$) like the MW (Binney & Tremaine 2008) and Sc-type galaxies ($B/D = 0.087^{+0.276}_{-0.041}$) (median values $\pm 68/2 \text{ per cent}$ of the distribution on either side of the median, taken from Graham & Worley 2008, who included corrections for dust whereas we did not). Halo C’s central galaxy is dominated by its central stars as is revealed by the dominance of the bulge fit. It has a shorter disc of less than 10 kpc.

In Fig. 4, we show the Tully–Fisher relation (Tully & Fisher 1977) of the simulated galaxies at redshift 0. In order to compute the total stellar mass belonging to the central galaxy, we considered the mass of all the star particles that lie between the galaxy centre (defined as the highest star density point) and 10 per cent of the radius $R_{97}$. The rotation velocity was calculated using the usual definition of the circular velocity, i.e. $v_c(r) = \sqrt{GM(<r)/r}$, where $M(<r)$ is the total mass inside radius $r$. We chose to calculate the value of $v_c$ at the radius that encloses 80 per cent of the stellar mass. At this point, the circular velocity has already reached its maximum. Because the obtained rotation curves are quite flat, they do not vary dramatically if one calculates the rotation velocity at a slightly shorter or longer radius. As grey symbols, we include a data set of observed galaxies (Verheijen 2001; Pizagno et al. 2007). Dutton et al. (2011) already analysed their data and we show also their best fit to the Tully–Fisher relation. Halo B and C lie within the observational trend. The galactic star mass in Halo A is a bit too high to lie within the observational data range but it follows the tendency of the fit and is not further than some observed galaxies.

Gas fractions defined as $f_{\text{gas}} = \frac{M_{\text{gas}}}{M_{\text{baryons}}}$, where we take into account all baryons inside 10 per cent of $R_{97}$, are equal to 0.12,
0.28 and 0.136 for Halo A, B and C respectively. These values allow an ongoing star formation at redshift 0. Furthermore, having calculated the $R$-band magnitudes of the stellar populations of the three galaxies (Halo A: $-23.03$; Halo B: $-22.12$; Halo C: $-22.15$), we conclude that our results are similar to the sample of simulations performed by Marinacci et al. (2014, compare their fig. 11) and lie within the sample of the observational data of galaxies of H\textsc{i} and optical observations compiled by Haynes et al. (1999).
Figure 3. Surface brightness profiles in x–y plane projection in ‘UBIK’ bands. The green dashed curve is the best fit for the I-band brightness profile. We fitted a two-component function consisting of an exponential disc function and a Sérsic profile. The dotted red lines show the two components of the fit whose values can be found in Table 2. (a) Halo A. (b) Halo B. (c) Halo C.

Table 2. Parameters of the surface brightness profile decomposition in the I band. For each run, the columns give (from left to right): the logarithm of the central brightness of the disc, the disc scalelength, the logarithm of the bulge brightness at the centre, the bulge scale radius, the Sérsic index of the bulge, the B/D flux ratio and the D/T flux ratio.

| Run    | log_{10}/Sigma_1 [L☉ kpc^{-2}] | R_d (kpc) | log_{10}/Sigma_Sérsic [L☉ kpc^{-2}] | r_Sérsic (kpc) | n   | B/D | D/T | Fitting limit (kpc) |
|--------|---------------------------------|-----------|------------------------------------|----------------|-----|-----|-----|---------------------|
| Halo-A | 9.3673                          | 2.6051    | 8.4864                             | 1.3929         | 2.4559 | 0.509 | 0.663 | 17                  |
| Halo-B | 8.8223                          | 3.3943    | 8.3506                             | 0.3899         | 1.2119 | 0.141 | 0.876 | 21                  |
| Halo-C | 9.5747                          | 0.3395    | 8.4205                             | 3.9800         | 0.8205 | 2.289 | 0.303 | 10                  |

In Fig. 5, we show the circular velocities (defined as above for the Tully–Fisher relation) of the three haloes at redshift 0. We calculated the mass contribution for each component and plotted the corresponding curve for the stars in yellow, the DM in black, the gas in red. The total circular velocity resulting from the sum of all the mass is shown in blue. We also add the observational MW data from Sofue, Honma & Omodaka (2009). Halo B and C show flat rotation curves and lie within the MW data. Halo A has a more peaked rotation curve because it locked a lot of mass into its stellar component. In the three cases, the gas component has a minor contribution at the outer part of the disc, but near the centre it closely follows the stellar component and is superior to the contribution of the DM mass.

Regarding the rotation curve, Halo B formed the most MW resembling galaxy of our sample. The maximum circular velocity of 235 km s^{-1} is reached at 9.63 kpc. Looking at the circular velocity at 8 kpc (that is about the distance separating the Solar system from...
the MW centre), it reaches 233 km s\(^{-1}\) and it lies well within the observational data. Going out to 60 kpc, the rotational velocity is equal to 162 km s\(^{-1}\), a value in the data range favoured for the MW (Xue et al. 2008).

### 3.2 Gas

In Figs 6 and 7, we show the gas density of the three central galaxies in the same projection plane as the stellar luminosity disc maps. The grid’s cell size is again 5 kpc \(\times\) 5 kpc. The gas discs are more ‘flocculent’ in contrast with the smoother gas discs produced by Marinacci et al. (2014). The gas morphology of the disc is closer to the results obtained by Guedes et al. (2011) and Aumer et al. (2013): SN feedback is at the origin of hot outflowing gas, creating large holes in the gas disc.

We verified that the densities that are reached when the gas is forming stars are realistic and that SFR follow a Kennicutt–Schmidt law \(\Sigma_{\text{SFR}} \propto \Sigma_{\text{gas}}^n\) with \(n = 1.4\) (see Kennicutt & Evans 2012 for a recent review) and lie within observational data (Bigiel et al. 2008; Fig. 8). To do so, we projected the gas contained inside a sphere of a 20 kpc radius to the \(x\)-\(y\) plane and built subsequent rings, each one being about 660 pc large. We included only the gas cells from the disc into the calculations, i.e. whose vertical distance from the disc plane is less than 1 kpc. Only stars younger than 50 Myr were selected in the same corresponding rings. Our results concur with the low star formation efficiency model from Agertz et al. (2011).

### 4 FORMATION HISTORY

To calculate the SFH, we selected only the stars at redshift 0 closer than 10 per cent of \(R_{200}\) to the galactic centre (defined as the highest star density) and trace the evolution of their formation in Fig. 9. Halo B has the most non-perturbed SFH: it rises quickly until about redshift 2 and then falls down steadily to redshift 0. Its star forming rate today, defined as the number of stars created in the last 50 Myr, is 4.54 \(M_\odot\) yr\(^{-1}\), a bit higher than estimations for the MW’s rate (ranging from 0.9 to 2.2 \(M_\odot\) yr\(^{-1}\) for different IMF slopes Murray & Rahman 2010). In the case of Halo C, the SFR stays high from redshift 3 to later than redshift 1, with an SFR of 3.62 \(M_\odot\) yr\(^{-1}\) at \(z = 0\). Halo A has very high SFR during all its history. It increases rapidly up to 30 \(M_\odot\) yr\(^{-1}\) at redshift 2, begins to diminish after redshift 1, and reaches the rate of 8.88 \(M_\odot\) yr\(^{-1}\) at redshift 0. If one compares these SFH with predictions for MW-like haloes derived from semi-analytical models combining stellar mass functions with merger histories of haloes (Behroozi, Wechsler & Conroy 2013), the SFH of Halo A is too high for haloes with mass \(\gtrsim 10^{12} M_\odot\). Halo B and C, though, show a star creation rate over time whose differences with the aforementioned models are worth discussing. The peak of the SFR reaches a rate of about 10 \(M_\odot\) yr\(^{-1}\) favoured by these models, even though its position is shifted to higher redshifts with respect to these models (the peak of SFH predicted by Behroozi et al. 2013 for a similar halo mass range being between redshifts 1 and 2). Furthermore, the SFR of Halo B and C stays at a too high level after redshift 1 and does not decrease sufficiently as can be seen in Fig. 9. In fact, the SN feedback model that we used in the simulation is not able to address the challenges set by these semi-analytical models correctly. Nevertheless, we will argue in the next paragraph why we take these comparisons with caution.

Seen from a different angle, the caveat exposed above has a direct impact on the expected stellar mass contained within a halo at redshift 0. Moreover, several techniques (abundance mass matching, weak lensing) seem to reproduce the same results (see fig. 16 in Papastergis et al. 2012). In Fig. 8, we show the star mass evolution of the three haloes from redshift 4 to 0 against the DM halo mass (DM mass inside \(R_{200}\)). First, we explicitly warn the reader that the DM mass growth in the plot is overestimated as we fixed \(M_{\text{DM}}\) when the mean density inside the sphere defined by radius \(R_{\rho_c}\) drops below 97 \(\times\) \(\rho_c(z)\). As Zemp (2014) shows, this criterion ill-defines the physical halo border and artificially overestimates DM halo growth. Physically, the DM halo mass is presumably in place much earlier so that the curve should be much steeper. Secondly, we plot in the shaded area the prediction for the stellar-to-halo mass relation for redshift 0 galaxies from Moster et al. (2013). This prediction is valid for \(M_{\text{stellar}}\), so that the curves and points shown here are slightly right-shifted with respect to the observations. For comparison, we add as white-filled edge-coloured points the results taking into account the DM mass inside \(R_{200}\). The curves in Fig. 8 show the evolution...
over time with the ending point capturing the final state of the haloes at redshift 0, which considers the total stellar mass inside 10 per cent of $R_{\text{eff}}$ from the halo centre. Observational surveys, on the other hand, in order to derive stellar masses, base their estimates on photometric data. Several works in the literature have pointed out that ‘re-observing’ the stellar masses in simulations can reduce the existing gap between results from simulations and observations (Scannapieco et al. 2010; Guedes et al. 2011). Attempting to mimic the observational procedure, we decided to follow Munshi et al. (2013) in the following. As described by Blanton et al. (2001) and Yasuda et al. (2001), we define first the Petrosian ratio at a radius $r$ from the centre of an object to be the ratio of the local surface brightness in an annulus at $r$ to the mean surface brightness within $r$

$$R_P = \frac{\int_R^{R + 2.5} dr 2\pi I(r')/\left(\pi (1.25^2 - 0.8^2) r^2\right)}{\int_0^R dr 2\pi I(r')/\left(\pi r^2\right)},$$

where $I(r)$ is the azimuthally averaged surface brightness profile in the $R$ band. The Petrosian radius is defined as the radius at which $R_P(r)$ equals a reference value, here we fixed it to 0.2 (like in the SDSS survey). We then sum up the star mass inside the Petrosian radius for the three haloes (triangles in Fig. 8). The final stellar mass estimation is based on the $B - V$ colour and $V$ total magnitude using the fitting values of Bell & de Jong (2001), namely $L_V = 10^{-(V - 4.8)/2.5}$ and $M_{\text{star}} = L_V \times 10^{-0.734 + 1.404 \cdot (B - V)}$. We correct the value for a Chabrier IMF from a Salpeter IMF (lowering the value in logarithmical scale by 0.26 dex; Ilbert et al. 2009) and plot the derived stellar mass as squares. With this procedure, we obtain a stellar mass estimation that is about 55–65 per cent lower than the simulation data. The stellar mass of Halo A, B and C then lies largely within the abundance mass matching relation. Of course, we do not claim that this procedure solves the problems current galaxy formation models encounter when confronted to stringent observational data, but at least it shows how much uncertainty can
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Figure 8. Left-hand panel: SFR density for corresponding gas density at redshift 0. We considered all the stars younger than 50 Myr. Grey points are radial data from seven spiral galaxies taken from the THINGS survey (Bigiel et al. 2008) where $\Sigma_{\text{gas}} = 1.36 \cdot (\Sigma_{\text{HI}} + \Sigma_{\text{H}_2})$ (with a factor of 1.36 accounting for helium). Diagonal dotted lines show lines of constant SFE $= \Sigma_{\text{SFR}}/\Sigma_{\text{gas}}$, indicating the level of $\Sigma_{\text{SFR}}$ needed to consume 1, 10 and 100 per cent of the gas reservoir in 100 Myr. The solid black line is the original Kennicutt–Schmidt relation $n = 1.4$ from Kennicutt (1998). Right-hand Panel: the stellar mass evolution over time (from redshift 4 to 0) against the Halo Mass (DM inside $R_{97}$), compared to the prediction from abundance matching technique (Moster, Naab & White 2013, the grey-shaded area indicates the 1σ confidence level) and the results of a stacked weak lensing study of SDSS galaxies by Reyes et al. (2012, green pentagons). Circles show the results at redshift 0 taking into account the sum of all the stellar mass inside 10 per cent of $R_{97}$. Triangles show the total stellar mass inside the Petrosian radii. Squares mark the stellar mass estimation based on the $B - V$ colour and $V$ total magnitude of the central galaxies (see Section 4 for further explanations). White edge-coloured markers show the results for $M_{200}$.

Figure 9. SFHs as a function of lookback time (Gyr) and redshift for the three haloes simulated for this study. Only stars inside a distance of 10 per cent of $R_{97}$ from the halo centre were considered. For Halo B, we added the SFH prediction for haloes with virial mass $M_{97} = 10^{12} M_\odot$ from Behroozi et al. (2013). (a) Halo A. (b) Halo B. (c) Halo C.

be related to observational procedures that are used to derive stellar masses.

5 DM HALO PROPERTIES

In the following section, we analyse the DM halo properties. In particular, we focus on comparing the results obtained for the hydrodynamical simulations with the corresponding DM-only counterparts.

5.1 Baryon’s impact on radial density profiles

Although cosmological $N$-body simulations provide realistic environments and mass accretion histories for galaxies, it is not clear which effects on the DM density are induced by modelling the baryon physics on small scales. The DM density profiles provided by pure $N$-body models favour ‘cuspy’ slopes in the inner regions of DM haloes (Navarro, Frenk & White 1997) or are well fitted by an Einasto profile (Springel et al. 2008). Recently, it has been demonstrated that star formation and its associated feedback schemes for dwarf-sized/MW-sized haloes and AGN feedback for cluster-sized haloes could cause a flattening of the slope DM density profiles, which has been dubbed the ‘cusp-core’ transformation (Macciò et al. 2012; Martizzi, Teyssier & Moore 2012; Dubois et al. 2013; Teyssier et al. 2013). The inclusion of these processes could reconcile predictions with observations that favour flat inner density profiles (Donato et al. 2009), in particular also for the MW (Nesti & Salucci 2013). Pontzen & Governato (2012) provided an analytical model demonstrating that impulsive gas motions are responsible for cusp-core transformations. In agreement with simulation results of Governato et al. (2012), Teyssier et al. (2013) showed that the core formation mechanisms imply a bursty SFH and ‘hot’ stellar velocity distributions, predictions that are in agreement with observations (Weisz et al. 2012). In the simulations presented in this paper, we used similar feedback mechanisms and, in the following section, we give the results when they are applied to more massive haloes.

In Fig. 10, we show the spherical averaged density profiles for stars, DM and gas components evolving over time, i.e. from redshift 4 to 0. We centred the haloes on the highest star density. In general,
Figure 10. Spherical averaged density profiles of the gas, stars and DM for Halo A, B and C (from left to right) over redshift range. (a) Gas density distribution for Halo A, B and C (from left to right). (b) Star density distribution for Halo A, B and C (from left to right). (c) DM density distribution for Halo A, B and C (from left to right).

there is a small offset between this point and the highest DM density point, but as its order of magnitude is \( \sim 10 \) pc, it is not noticeable in the density plots in Fig. 10.

If we analyse the star density profile for the three haloes, we see that star formation acts first in the galactic centre and then raises the density constantly in the outer parts of the galaxy, which extends out to 10 kpc, or even further in the case of Halo B. Additionally, Halo A and C show a recent increase in their central density, revealing the formation of a massive central bulge.

The DM density profile for the three haloes in the hydrodynamical run converges over time in the outer part of the haloes and presents a cored central profile. Starting from redshift 4, the initially steep DM profiles of Halo A and C are immediately flattened due to intense star formation and its associated feedback. Besides, interesting to notice is the small increase of the profile in the snapshots of the last redshifts shown: the increased central mass coming from the bulge formation contracts the DM profile. The profile of Halo B presents a special feature. From redshift 4 to 2.3, the steep DM density profile is adiabatically contracted as feedback triggered by insetting star formation was not powerful enough to start a core formation. Then, between redshift 2.3 and 1.5, a redshift range that coincides with the peak of star formation (c.f. Fig. 9), the central DM density is efficiently flattened.

As the time steps of the snapshots shown here are not sufficiently small to capture single starburst events, we do not see the “breathing” effect of the gas densities that make the central gravitational potential oscillate and induce the flattening of the DM density profile (Teyssier et al. 2013). In the figure, it is difficult to disentangle one specific physical process due to the complex nature of gas physics on large scales captured in the simulation, which incorporates, e.g. the cosmological gas infall, the aforementioned galactic gas outblowing provoked by stellar feedback, gas cooling or the transformation from gas mass into star particles. However, for the three haloes, one clearly identifies the transition between the galactic disc gas and the halo gas indicated by the slope change in the profile. The central gas density profile of Halo A and C is observed to fluctuate considerably over time. Sudden increases of the gas reservoir in the disc alternate with periods where the density...
diminishes as gas is locked into stars. Halo B evolves less abruptly, the central gas density tends to go down steadily while the gas density in the extended galactic disc increases and is stabilized with time.

The DM profile of the hydrodynamical runs are in striking difference with the results from the DM-only simulations, which is plotted in Fig. 11. For them, we obtain a cuspy central profile whose slope is close to 1. We use the function

$$\rho(r, \rho_*, r_*, \alpha, \beta, \gamma) = \rho_* \left( \frac{r}{r_*} \right)^\gamma \left( 1 + \left( \frac{r}{r_*} \right)^\beta \right)^{-\gamma/\alpha}$$

(6)

to fit the DM profile from $\log_{10} r = -0.6$ to $R_{200}$ of each halo. For the DM-only runs, we imposed $\alpha = 1$ for the fit so that $\gamma$ immediately reflects the inner slope and $\beta - \gamma$ the outer slope of the profile. The results can be found in Table 3. Enticing is the comparison between the simulation cores (~2–5 kpc) with the core sizes inferred by the fitted profiles to observational data of the MW, e.g. isothermal profile (core size in Sofue et al. 2009: 5.5 kpc) or Burkert profile (core size in Nesti & Salucci 2013 ~10 kpc). We checked that the cored DM profiles are not introduced by a lack of resolution (~150 pc, see Fig. 12).

Our result is in contradiction with Di Cintio et al. (2014a, see also Di Cintio et al. 2014b) who analysed the DM profiles of the MaGiCC simulations performed by Stinson et al. (2013). They found that the stellar feedback models used in the simulations were able to turn the DM cusp into a core, only for a certain galactic stellar mass range that lies beneath the stellar mass of our simulated galaxies.

In order to emphasize the flattening of the DM profile, we compared our results with a case where the DM-only simulation haloes were adiabatically contracted by the baryonic distribution obtained in the corresponding hydro run. The standard adiabatic contraction model systematically overestimates its effect in the inner region (Blumenthal et al. 1986), because the assumptions of spherical symmetry and homologous contraction are not fulfilled in the violent hierarchical structure formation processes. Therefore, we employ a modified adiabatic contraction model (Gnedin et al. 2004) calibrated on cosmological simulations. The formalism of this model attempts to account for orbital eccentricities of the particles. In Fig. 12, we plot first the DM density profile (green-dashed line) and the star density (yellow line) from the hydrodynamical run. Then, taking into account the realistic stellar mass from the hydrodynamical run, we contract via the aforementioned model the DM density profile from the DM-only run (blue-thick) and show the predicted contracted density profile as blue-dotted curves. In Fig. 12, we see that the stellar feedback is able to transform the inner cuspy DM profile into a cored profile and to counteract against the adiabatic contraction. Nevertheless, moving further away from the galactic centre, around 10 kpc, we do see a contraction. The DM from the hydro run departs from the DM-only profile, and exactly follows the predicted contracted profiles. As the stellar mass of Halo A is bigger and reaches higher densities, the DM is drained further inside the galaxy of Halo A than for that of Halo B and the effect is more visible. In Fig. 10, it can be seen that the DM profile from Halo C has the same behaviour than Halo B, but is less interesting because the scale radius where the slope of DM density profile changes is shorter, which is due to the smallness of its galactic disc.

This newly observed effect, combining core formation at the centre and adiabatic contraction at larger galactic radii, is the result of two different regimes: at the centre, stellar feedback can compensate the additional gravitational attraction coming from the stars, whereas the feedback released by the stars in the outer parts of the galaxy is not strong enough to prevent the contraction.

The described contraction has an important effect on the DM density at the solar neighbourhood radius. In the case of Halo B, comparing the local mean DM density in a spherical shell at 8 kpc, we notice that it is increased from 0.23 GeV cm$^{-3}$ in the DM-only run to 0.36 GeV cm$^{-3}$ in the hydro run. Calculating the mean DM density in the ring at 8 kpc situated in the disc plane, we obtain a mean DM density of 0.50 GeV cm$^{-3}$, a result that is in agreement with estimations for the local MW DM density (see Read 2014, for a recent review). A detailed study of the solar neighbourhood DM distribution in our simulation will be the subject of a forthcoming paper.

5.2 Satellites

In this last section, we make a concise analysis of the subhalo population of the host halo. The scientific goals are twofold: on the one hand, we compare the subhaloes found in the hydrodynamical run with their alter-egos from the DM-only run and see if there are non-negligible effects that distinguish these populations. On the other
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Figure 12. Comparison between the DM density profiles from the DM-only and hydrodynamical runs for Haloes A (left) and B (right). The DM profile from the DM-only run is adiabatically contracted via the stellar density profile from the hydro run. See Section 5.1 for further explanations.

Figure 13. The three panels show typical DM density profiles for satellites from the DM-only run (left) and the hydrodynamical run, where the right-hand panel shows a profile with a steeper inner slope with respect to the cored DM profile flattened by SN feedback in the central panel. We fitted the profiles with an $\alpha - \beta - \gamma$ function (equation 6).

hand, we look at the impact of star formation and its associated feedback and see if similar effects that are observed in the case of the host halo also affect the subhaloes. Because the galaxy of Halo B presents a lot of MW-like properties, we wondered which results the simulation produces actually inside its halo. We only show here the subhalo results for Halo B, but we verified that, qualitatively, they do not vary for the other haloes.

First, we looked with AHF for the overdensities contained inside $R_{50}$, that is 301 kpc (288.5 kpc) for Halo B (Halo B-DM) and identified 308 (469) subhaloes. For each subhalo, we then built the spherical density profile, starting from the centre defined as the highest density point that is closest to the position indicated by AHF, and going out to 2.5 times $R_{50}$. In the hydrodynamical run, we include the stars in our calculation. We then define $R_{\text{sub}}$ as the radius, where the slope of the density profile (centred on the subhalo) becomes flat and reaches the local background density of the host. Summing up all the mass inside $R_{\text{sub}}$, we obtain $M_{\text{sub}}$.

Next, we analyse the subhalo’s central DM density. Having defined the subhalo’s edge, we construct the DM density profiles for the 25 most massive subhaloes in the hydrodynamical and the DM-only simulation going out to $R_{\text{sub}}$. While the resolution of the simulation is high enough to give meaningful results for these objects, the central profiles of smaller clumps could be altered by a possible lack of resolution and therefore we limit the analysis to this sample. We fitted the subhalo’s DM density profile with an $\alpha - \beta - \gamma$ profile (equation 6) and subdivided the subhaloes in several populations, of which typical examples can be found in Fig. 13: subhaloes from the DM-only run, subhaloes from the hydrodynamical run that possess stars (17/25), and subhaloes from the hydrodynamical run that did not produce stars (8/25). We resumed the results of the fit in the left-hand panel of Fig. 15. Most appealing is the comparison of the value of $\gamma$ in the different samples: while the satellites of the DM-only run tend to have an inner profile with a slope close to $-1$ (as one would expect), the central profile of subhaloes that formed stars in the hydrodynamical run is cored. At the same time, the subhaloes in the hydrodynamical run that do not have a SFH have steeper inner density profiles. This result coherently enlarges the observations we made earlier for the host haloes. Even in coarser non-isolated simulations like these realizations here, SN feedback has a strong impact, in a systematic and consistent way, on the central DM densities.

In Fig. 14, we compare the calculated subhalo radii with the tidal radii that depend on the subhalo’s distance to the galactic centre and on $M_{\text{sub}}$. The tidal radius is the theoretical limit for a particle bound
to a satellite that is orbiting in the gravitational field of a host halo. Knowing that the point-mass approximation for our systems is no longer valid because the satellites orbit within the body of the host system (Binney & Tremaine 2008), we calculate it like (Springel et al. 2008)

\[ R_{\text{tidal}} = \left( \frac{M_{\text{sub}}}{(2 - \frac{d\ln M}{d\ln r})M(< d)} \right)^{1/3} \]

where \( d \) is the distance to the galactic centre and \( M(<d) \) the mass contained inside a sphere of radius \( d \). Within some scatter, we find a reasonable agreement between \( R_{\text{sub}} \) and the tidal radius and validate the consistency of our method to calculate \( R_{\text{sub}} \).

In Fig. 14, we plot the cumulative subhalo spectrum \( N(> M_{\text{sub}}) \) for the DM-only run (black points) and the hydrodynamical run (blue points). The dashed curve shows the integrated mass function

\[ N(> M_{\text{sub}}) = \int_{M_{\text{sub}}}^{\text{max}} \frac{dN}{dM} \, dM, \]

where \( \frac{dN}{dM} \propto M^n \) with \( n = -1.9 \) (Springel et al. 2008; Gao et al. 2012). We remark that both curves follow the tendency curve. They depart from a slope of \(-1.9\) due to the lack of resolution around \( M_{\text{sub}} < 5 \times 10^7 \, M_\odot \). It is interesting that there is a clear shift in the integrated clump spectrum. As the overall curves do show the same behaviour and because they stay parallel, we conclude that we witness a considerable statistical mass-loss of the subhaloes over the whole mass range in the hydrodynamical run compared to the DM-only version. This feature seems to be in agreement with Vogelsberger et al. (2014a), who found a mass reduction for low-mass satellites.

Brooks et al. (2013) identified two mechanisms that could explain the mass-loss of satellites which may be applicable to our simulation: on the one hand, if the satellites are able to form stars, SN feedback can flatten the DM cusp, so that DM particles with elongated orbits are stripped more easily [in contradiction with Garrison-Kimmel et al. (2013) where the effective model is not capable of transmitting a sufficient amount of energy to the DM of the satellites in order to match the observed central densities of MW spheroidal dwarfs]. On the other hand, tidal stripping due to the presence of the galactic baryonic disc is enhanced. In agreement with Zolotov et al. (2012), our results seem to strengthen these interpretations as solution attempts for the $\Lambda$CDM missing satellite problem (Klypin et al. 1999) and the connected too-big-to-fail problem (Boylan-Kolchin, Bullock & Kaplinghat 2011). Namely, if we recap what has been shown, all subhaloes in the simulations are prone to statistical mass-loss, and only some of the most massive satellites are able to form stars.

Analysing the hydro run of Halo B, we show in Fig. 15 the satellite V-band luminosities of the simulation against the MW satellites (Wolf et al. 2010). To be consistent and for simplicity, we used the same procedure to derive the stellar luminosities that we used for the host galaxy by taking into account the stellar ages and metallicities (for redshift 0!). We only counted the stellar luminosities for the dwarf galaxies that possess five or more star particles to make sure that we neglect subhaloes that have one or several star particles at the border of the subhalo. Interestingly, the simulation subhaloes populate a similar luminosity range compared to the discovered MW dwarfs. In addition, the most luminous simulation satellite is not alarmingly brighter than the brightest MW dwarf. However, these results are in tension with a recent study of satellites in the highly resolved ELVIS suite of $\Lambda$CDM simulations, that compare the Local Group galaxies (of the MW) with the simulated haloes that are in a similar configuration (Garrison-Kimmel et al. 2014). In these DM-only simulations, they find that the number of subhaloes that are theoretically massive enough to form stars at some point in their history largely exceeds the observed amount of Local Group dwarf galaxies. However, in the recent work of Sawala et al. (2014), it has been stated that zoom simulations that focus on a Local Group-like structure can reproduce the right order of magnitude of faint galaxies. This result points towards the obligation to include the modelling of baryonic physics and makes the failure of $\Lambda$CDM less probable.

In Fig. 15, we show for every subhalo of Halo B the virial mass \( M_{\text{sub}} \) as a function of their distance to the galactic centre, blue points denoting satellites without stars (i.e. DM-only) and red points for satellites that have formed stars. No clear correlation between mass or position of a satellite and the presence of stars within a subhalo can be determined. Higher mass subhaloes seem to be able to form stars in some instances, though what makes these haloes special relative to their DM-only counterparts is unknown. On the other hand, low-mass subhaloes in the simulations generally seem to be unable to produce stars.
6 SUMMARY AND PERSPECTIVES

In this paper, we presented three cosmological hydrodynamical simulations zoomed on MW sized haloes using the adaptive mesh refinement code RAMSES. Adopting widely used subgrid prescriptions to model star formation and stellar feedback and keeping them fixed during the ongoing simulations, we have obtained and analysed the results of the three haloes. We compared them to recent observational key results for simulations. In summary:

(i) We built realistic luminosity maps of the galactic stars taking into account their age and metallicity. From them, we derived brightness profiles in several bands and computed their disc and bulge scales.

(ii) We constructed the circular velocity profiles and compared them with observational data from the MW. Furthermore, connecting the stellar mass to the rotational velocity at a specific radius after the velocity curve reached its maximum, we confirmed that the simulations lie within recent observational data of the Tully–Fisher relation.

(iii) We verified that star formation in the simulation follows a Kennicutt–Schmidt law at redshift 0.

(iv) Regarding the total stellar mass, we confirm the outcome from Roškar et al. (2014), stressing that SN feedback is not strong enough to diminish the gas content of the halo in order to prevent an (although postponed) excessive star formation. Recent simulations using a feedback scheme where outblowing winds are decoupled from the flow (e.g. Vogelsberger et al. 2013; Marinacci et al. 2014) are able to expel a bigger quantity of the galactic gas out of the baryonic disc or even out of the halo and consequently, the gas reservoir used to form stars is smaller. Other attempts trying to ensure a more physically motivated star formation (through molecular based star formation) combined with additional stellar feedback (Agertz & Kravtsov 2014; Hopkins et al. 2014) also seem to produce good results with regard to the stellar-to-halo mass relation.

(v) Even if the stellar-to-halo mass ratio of the simulations presented in this paper is too high, we showed that if one applies standard techniques of stellar mass deduction from observational data, it is possible to reduce the gap between our simulations and observational results. Because of the extensive consequences, this line of investigation definitely deserve more attention to ensure a more thorough treatment.

(vi) We studied the DM density profile over time and observed a combination of a flattening of the inner DM density profile with a contraction of the DM density at the outer parts of the galactic disc. This effect, which is caused by stellar feedback, can produce DM cores of ~5 kpc. We remark that the production of DM cores for this halo size has not been observed before in other simulations, in particular not in the aforementioned simulations using the decoupled winds feedback because their inner DM density has a cuspy profile. A comparison of their result with an analytical adiabatic contraction model would be interesting. Furthermore, we showed that the observed DM feature highly affects the local DM density at the solar radius.

(vii) We concluded with an analysis of the halo satellites. We showed that in the star-forming subhaloes, stellar feedback also modifies their inner DM densities and lowers the inner slope with comparison to satellites that do not form stars. Moreover, the haloes in the lower MW mass range seem to give a good matching between the MW spheroidal dwarfs and the brightest simulation satellites. Using a self-designed tool to define the edge of the subhalo, we verified that it maps correctly the theoretically defined tidal radius. In all the simulations, we found less substructures in the hydrodynamical run compared to the DM-only run, a general subhalo mass-loss over the whole mass spectrum and, in particular, a mass reduction of the most massive subhaloes. Therefore, we could confirm earlier results of isolated simulations. The subhalo mass and its distance to the galactic centre seem to be uncorrelated to the capacity of forming stars, even though low-mass subhaloes do not have an SFH in the simulation.

As we explicitly indicated before, Halo B mimics many observational properties of the MW, even though its virial mass is in the lower part of the estimated MW mass range and the tuned SN feedback used here leads to a less regular spiral structure. Those quite realistic features predestine this simulation to be an interesting framework for DM detection studies (Ling et al. 2010; Nezri, Lavalle & Teysier 2012). Indeed, we are going to take advantage of our better resolved simulations and use them as consistent frameworks for DM detection phenomenology. These aspects are beyond the scope of this paper and will be published in subsequent articles with improved astroparticle calculations.

ACKNOWLEDGEMENTS

We thank Valentin Perret for fruitful discussions and Jean-Charles Lambert for providing us with quick and efficient support when technical problems occurred.
We also want to thank the anonymous referee for the report. His concise and helpful remarks undeniably improved the final version.

This work is supported by the Fonds National de la Recherche, Luxembourg (Project Code: 4945372).

It was granted access to the HPC resources of Aix-Marseille Université financed by the project Equip@Meso (ANR-10-EQPX-29-01) of the programme ‘Investissements d’Avenir’ supervised by the Agence Nationale pour la Recherche. The simulations were also performed on the Centre Informatique National de l’Enseignement Supérieur under GENECl allocation 2013.

This work has been carried out thanks to the support of the OCEVU Labex (ANR-11-LABX-0060) and the A*MIDEX project (ANR-11-IDEX-0001-02) funded by the ‘Investissements d’Avenir’ French government programme managed by the ANR.

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