We propose a graphene-based full valley- and spin-polarization device based on strained graphene with Rashba spin orbit coupling and magnetic barrier. The underlying mechanism is the coexistence of the valley and single spin band gaps in a certain Fermi energy. By aligning the Fermi energy in the valley and single spin band gaps, remarkable valley- and spin-polarization currents can be accessed.

The realization of stable single-layer carbon crystals, called graphene, has led to an intensive investigation of electronic properties of graphene. Charge carriers in a sheet of single-layer graphene behave like “relativistic” chiral massless particles with a “light speed” equal to the Fermi velocity and possess a gapless linear spectrum at the K and K’ points. Graphene has been regarded as a promising material for future nanoelectronic devices, particularly in the field of spintronics, as it is expected to have long spin decoherence and relaxation times. By making graphene ferromagnetic through magnetic proximity effect, research has demonstrated the tunable spin transport in ferromagnetic graphene, rendering the activity of graphene in future spin-electronic applications. Recently, Liu et al. found that the transport in a two-dimensional graphene structure modulated by the spin orbit coupling and a local strain follows high spin polarization. Graphene in addition to the spin of the electron has two more degrees of freedom: sublattice and valley pseudospin. Valley based electronics, also known as valleytronics, uses the valley degree of freedom as a carrier of information similar to the way spintronics uses electron spin. It was shown recently that graphene nanoribbons with zigzag edges can be used as a valley filter. Another promising method to achieve the valley-polarized output current is to construct a bulk graphene modulated by a double barrier structure consisting of electric and vector potentials. And recently research suggested that a strained graphene modulated by a finite magnetic superlattice allows a coexistence of insulating transmission gap of one valley and metallic resonant band of the other. Accordingly, a full valley-polarization current appears.

Although the single spin and valley polarizations in graphene have been extensively studied, the works, realizing simultaneously both spin and valley polarizations for graphene, are still few. In this Letter, we propose a graphene-based valley/spin polarization device by placing strained graphene with Rashba spin-orbit coupling (RSOC) and magnetic barrier. Our motivation for studying such a structure is twofold. First, the strain combined with magnetic barrier in graphene can generate different transmission gap for K and K’ valley. Secondly, RSOC can induce spin flip and spin energy gap. Thus, the spin energy gap of one valley maybe overlap with the transmission gap of the other valley. In other words, only one spin state from one valley can be transmitted and any other spin states are forbidden, provided the Fermi energy located in the overlap region. In this work, combining the local strain, magnetic barrier and RSOC, we show that full valley- and spin-polarization currents can be accessed simultaneously, and the receiving spin polarization can be easily tuned by the strain and magnetization strength, which offers the very feature to construct spin/valley filter.

Computational Models and Methods
The graphene-based system under consideration includes the strain, RSOC and magnetic barrier, as depicted in Fig. 1. The local strain can be induced by a tension along the x direction applied on the graphene and is homogeneous along the y axis. The elastic deformation can be treated as a perturbation to the hopping amplitudes and acts...
as a gauge potential $A_\nu(r)$\textsuperscript{17}. Explicitly, we have $A_\nu(r) = \delta t$, where $\delta t$ parametrizes the strain by its effect on the nearest neighbor hopping, $t \rightarrow t + \delta t (t \approx 3 \text{ eV})$. Within a tight-binding formulation of the electronic motion\textsuperscript{12}, the change of hopping energy can be achieved $772 \pm 4 \text{ meV}$, if the bond length increase 10% under strain\textsuperscript{9,17}. RSOC can be induced by growing graphene on a Ni surface by catalytic methods\textsuperscript{18}, and study shows that Au intercalation at the graphene-Ni interface creates a giant spin-orbit splitting ($\approx 100 \text{ meV}$) in the graphene Dirac cone up to the Fermi energy. We consider the RSOC strength $\lambda$ are constant in the strained region and vanishes otherwise.

The magnetic field is assumed to vary only along the $x$ axis, which can be generated by depositing ferromagnetic metal or superconducting materials on top of the dielectric layer, as is the way in semiconductor heterostructures\textsuperscript{19,20}. The induced magnetic field can be approximately described\textsuperscript{21} by the vector potential $A_x$. The vector potential $A_x$ is scaled in units of $B L B$, $B$ is the strength of the local magnetic field, $L$ is the width of the graphene sample in the y direction. The valley, spin resolved and total conductance are defined as

\begin{equation}
G_{\nu}(K') = G_{[1]}^{K(K')} + G_{[1]}^{K(K')} + G_{[1]}^{K(K')} + G_{[1]}^{K(K')},
\end{equation}

\begin{equation}
G_{[1]}(i) = G_{[1]}^{i}(i) + G_{[1]}^{i}(i) + G_{[1]}^{i}(i) + G_{[1]}^{i}(i),
\end{equation}

\begin{equation}
G = G_{K} + G_{K'} = G_{[1]} + G_{[1]}.
\end{equation}

We also introduce valley and spin polarizations $P_\nu$ and $P_s$

\begin{equation}
P_{\nu}(s) = \frac{G_{[1]}^{i}(s) - G_{[1]}^{i}(s)}{G_{[1]}^{i}(s) + G_{[1]}^{i}(s)}.
\end{equation}
Results and Discussion

Figures 2(a,b) display spin resolved conductance for $K'$ and $K$ valleys as function of the Fermi energy. As the incident energy increases, for $K'$ valley [Fig. 2(a)], the conductance shows an obvious blocked region in the Fermi energy regions $-10.2 \text{ meV} < E_F < 10.2 \text{ meV}$. For $K$ valley [Fig. 2(b)], the conductance is completely suppressed in a wider energy ranges $[-18.9 \text{ meV}, 18.9 \text{ meV}]$. Figure 2(a,b) also show that two spin-conserved conductances of each valley coincide for all Fermi energy, but the two spin-flipped conductance are different because the Hamiltonian of single valley system is no longer invariant under operation $\sigma_\Gamma \Gamma_R \sigma_\Lambda$. It is worth to note that in the energy ranges $[-10.2 \text{ meV}, -10.2 \text{ meV}]$ and $[10.2 \text{ meV}, 18.9 \text{ meV}]$, the conductance is contributed mainly by its spin-flipped component $G_\downarrow \uparrow$ from the $K'$ valley, while the others conductances are greatly suppressed, even the transport channels from $K$ valley are forbidden wholly. Such transport property leads to that there are not only full valley polarization and high spin polarization but also obvious total conductance in the energy ranges $[-10.2 \text{ meV}, -10.2 \text{ meV}]$ and $[10.2 \text{ meV}, 18.9 \text{ meV}]$ [seen in the green dashed lines in Fig. 2(c)]. In addition, the extremely high spin and valley polarizations also are present in the energy region $-10.2 \text{ meV} < E_F < 10.2 \text{ meV}$ but the rather small conductance makes it impossible for either detection or applications. From Fig. 2(c), one can also find that the valley and spin polarizations decreases gradually and eventually decay to zero with increasing the energy.

In this work, we propose and demonstrate that valley and spin filters can be simultaneously achieved in a strained graphene with RSOC and magnetic barrier. Such a remarkable result can be understood by the band structures in each region. For comparison, we first show the band structures near the $K'$ and $K$ points in strained graphene with only magnetic barrier [Fig. 3(a)] and only RSOC [Fig. 3(b)]. In Fig. 3(a), a band gap is induced, and the band gap for $K$ valley is wider than that of $K'$ valley since the total vector potential $A' = A_M = 10 \text{ meV}, \lambda = 20 \text{ meV}$ acting on $K$ electrons is distinct in amplitude from its counterpart for $K'$ electrons. That is to say, a valley gap comes into being [see the green ellipse dashed lines in Fig. 3(a)], where only electron state from one valley is propagating wave and that from the other valley is evanescent at a fixed Fermi energy. Thus the valley polarization can be achieved as long as the Fermi energy located inside the valley gap, akin to that in the strained graphene with a periodic magnetic modulation. In addition, spin polarization is absent in such strained graphene system with magnetic barrier due to spin degeneracy. In Fig. 3(b). One can clearly see that the RSOC makes the spin degeneracy lifted and produces a spin energy gap. As a result, the spin polarization for single valley can be achieved in the spin energy gap. But such system is not able to generate a valley-polarized current because of the mirror symmetry of $K$ and $K'$ valleys.
So we study the band structure of strained graphene with both magnetic barrier and RSOC [Fig. 3(c)]. It is shown that valley gap is induced in the energy range $-\lambda + \sqrt{\lambda^2 + (A_{M} - A_s)^2}$ to $-\lambda + \sqrt{\lambda^2 + (A_{M} + A_s)^2}$ [see the green ellipse dashed lines in Fig. 3(c)]. Moreover, we also find that only single spin band at $K'$ valley contributions to the current in that energy range as shown in Fig. 3(c), which leads to only one spin-flipped conductance for one valley is dominate [Fig. 2(a,b)]. Thus, high valley- and spin-polarization currents can be expected at those energies [Fig. 2(c)]. In addition, because the above band structure only for $k_y = 0$, while the overall conductance is contributed from electrons with not only $k_x = 0$, but also $k_y = 0$, which lead the current can flow, even when the Fermi energy is located in the band gap near the $K'$ points [as seen in Fig. 2(a,c)].

The valley and single spin band gaps can be deceived by the extreme points of energy band (A, B, C and D points) [see in Fig. 3(c)]. In Fig. 4(a–c), we plot the extreme points of energy band as functions of strain, magnetic barrier and RSOC strengths. With increasing the strain and magnetic strengths, we find that the valley gap firstly widens and then has no obvious change, and the location of the valley gap is shifted to high-energy region [Fig. 4(a,b)]. While the increase of RSOC strength makes the valley gap narrow and the location of the valley gap move toward low-energy region gradually [Fig. 4(c)]. In addition, it is shown that the single spin band gap coincides with valley gap for all Fermi energy with the increasing of the strain strength [Fig. 4(a)]. With increasing the magnetic strength, the single spin band gap firstly coincides with valley gap and then is narrower than the valley gap [Fig. 4(b)]. And the increase of RSOC strength causes that the single spin band gap firstly is smaller than valley gap and then coincides with valley gap [Fig. 4(c)]. The gap characters reflect on the valley/spin polarization [Fig. 4(d–i)]. In addition to the high valley/spin polarization in transmission gap, we can also find that the high valley polarization is mainly appears in the valley gap [Fig. 4(d–f)], and the high spin polarization mostly occur in the single spin band gap [Fig. 4(g–i)]. However, effective valley/spin filtering also requires a high transmitted valley/spin current. From Fig. 4(i–l), one can find in the transmission gap region, the total conductance is small. While within the valley gap or single spin band gap region, the total conductance can be larger than $2G_0$, allowing for a remarkable valley/spin current, which confirming that such a strained graphene with valley gap and single spin band gap is an effective valley/spin filtering device. Moreover, more abundant spin polarization features of the system can be find in Fig. 4(g,h,i), where both high positive and negative spin polarizations are present with increasing the strain and magnetic strengths. Then, one can find that the negative spin polarization always occurs if $A_s < A_M$ and the positive one appearing, provided $A_s > A_M$. The reason can be understood as follows. Firstly, from Fig. 2, we can find that the presence of spin polarization is mainly caused by spin-flipped transmissions from $K'$ valley. The Hamiltonian of strain combined with magnetic vector for $K'$ valley is $H_{K'} = A_{M}(x) - A_s(x)\sigma_y$. It is obvious that shifts of the Dirac points have the opposite direction for $A_s < A_M$ and $A_s > A_M$. This feature leads to the transmission of electrons shows a mirror symmetry in $K'$ valley which causes the positive spin polarization is present for $A_s < A_M$ and negative spin polarization appears at $A_s > A_M$

Summary
In conclusion, we have demonstrated that strained graphene with RSOC and magnetic barrier can generate valley- and spin-polarization currents. To observe such polarized current in the concerned structure, it is highly desirable to keep the system with valley gap and single spin band gap. The full valley-polarization current mainly appears in the valley gap and full spin-polarization one mostly occurs in the single spin band gap. The valley and...
Figure 4. (a–c) The extreme points (A, B, C and D) of energy band as functions of strain, magnetic and RSOC strengths, (d–f) valley polarization, (g–i) spin polarization and (j–l) total conductance as functions of the Fermi energy $E$ and strain, magnetic and RSOC strengths. The other parameters are $A_s = 40\text{ meV}$, $A_M = 10\text{ meV}$, $\lambda = 20\text{ meV}$, and $L = 207\text{ nm}$. 
single spin band gaps can be modulated by strain, RSOC and magnetic strength. In addition, under the strain and magnetic manipulation, the spin polarization can be switched by adjusting the strain and magnetization strengths. The full valley- and spin-polarization currents provide the desirable routines to construct spin/valley filter for graphene-based logic applications.

Our results would be also applicable to other spin and valley coupled systems, such as monolayers of silicene and MoS2, where low energy physics are governed by massive Dirac fermion.

References
1. Novoselov, K. S. et al. Electric field effect in atomically thin carbon films. Science 306, 666–669 (2004).
2. Zhang, Y., Tan, Y.-W., Stormer, H. L. & Kim, P. Experimental observation of the quantum Hall effect and Berry's phase in graphene. Nature 438, 201–204 (2005).
3. Zheng, Y. & Ando, T. Hall conductivity of a two-dimensional graphite system. Phys. Rev. B 65, 245420 (2002).
4. Min, H. et al. Intrinsic and Rashba spin-orbit interactions in graphene sheets. Phys. Rev. B 74, 155426 (2006).
5. Huertas-Hernando, D., Guinea, F. & Brataas, A. Spin-orbit coupling in curved graphene, fullerences, nanotubes, and nanotube caps. Phys. Rev. B 74, 155426 (2006).
6. Haugen, H., Huertas-Hernando, D. & Brataas, A. Spin-orbit coupling in curved graphene, fullerences, nanotubes, and nanotube caps. Phys. Rev. B 77, 115406 (2008).
7. Tokuyama T. & Linder, J. Anomalous magnetic transport in ferromagnetic graphene junctions. Phys. Rev. B 83, 081418 (2011).
8. Zhai, F. & Yang, L. Strain-tunable spin transport in ferromagnetic graphene junctions. Appl. Phys. Lett. 98, 2101 (2011).
9. Wu, Q.-P., Liu, Z.-F., Chen, A.-X., Xiao, X.-B. & Liu, Z.-M. Generation of full polarization in ferromagnetic graphene with spin energy gap. Appl. Phys. Lett. 105, 252402 (2014).
10. Liu, Z.-F., Wu, Q.-P., Chen, A.-X., Xiao, X.-B. & Liu, N.-H. Enhanced spin polarization in graphene with spin energy gap induced by spin-orbit coupling and strain. J. Appl. Phys. 115, 203710 (2014).
11. Rycerz, A., Tworzydlo, J. & Beenakker, C. Valley filter and valley valve in graphene. Nat. Phys. 3, 172–175 (2007).
12. Neto, A. C., Guinea, F., Peres, N., Novoselov, K. S. & Geim, A. K. The electronic properties of graphene. Rev. Mod. Phys. 81, 109 (2009).
13. Garcia-Pomar, J., Cortijo, A. & Nieto-Vesperinas, M. Fully valley-polarized electron beams in graphene. Phys. Rev. Lett. 100, 236801 (2008).
14. Moldovan, D., Masir, M. R., Covaci, L. & Peeters, F. M. Resonant valley filtering of massive Dirac electrons. Phys. Rev. B 86, 115431 (2012).
15. Song, Y., Zhai, F. & Gao, Y. Strain-tunable spin transport in ferromagnetic graphene junctions. Appl. Phys. Lett. 103, 183111 (2013).
16. Grujić, M. M., Tadić, M. Ž. & Peeters, F. M. Spin-valley filtering in strained graphene structures with artificially induced carrier mass and spin-orbit coupling. Phys. Rev. Lett. 113, 046601 (2014).
17. Pereira, V. M., Neto, A. C. & Peres, N. Tight-binding approach to uniaxial strain in graphene. Phys. Rev. B 80, 045401 (2009).
18. Dedkov, Y. S., Fonin, M., Rüdiger, U. & Laubschat, C. Rashba effect in the graphene/Ni (111) system. Phys. Rev. Lett. 100, 107602 (2008).
19. Nogaret, A., Lawton, D., Maude, D., Portal, J. & Henini, M. Hall anomaly of diffusive magnetic waveguides. Phys. Rev. B 87, 155417 (2013).
20. Tarasov, A. et al. Quantized magnetic confinement in quantum wires. Phys. Rev. Lett. 104, 186801 (2010).
21. Zhai, F., Zhao, X., Chang, K. & Xu, H. Magnetic barrier on strained graphene: A possible valley filter. Phys. Rev. B 82, 115442 (2010).
22. DellAnna, L. & De Martino, A. Wave-vector-dependent spin filtering and spin transport through magnetic barriers in graphene. Phys. Rev. B 80, 155416 (2009).
23. DellAnna, L. & De Martino, A. Spin-resolved scattering through spin-orbit nanostructures in graphene. Phys. Rev. B 81, 165410 (2010).
24. Büttiker, M., Imry, Y., Landauer, R. & Pinhas, S. Generalized many-channel conductance formula with application to small rings. Phys. Rev. B 31, 6207 (1985).
25. Zhai, F. & Xu, H. Symmetry of spin transport in two-terminal waveguides with a spin-orbital interaction and magnetic field modulations. Phys. Rev. Lett. 94, 246601 (2005).

Acknowledgements
This work is supported by the National Natural Science Foundation of China (Grant Nos 11364019, 11464011, 11365009, 11264019 and 11164007).

Author Contributions
Q.W. conceived the idea and performed the calculation. Q.W., Z.F.L. and A.C. contributed to the interpretation of the results and wrote the manuscript. X.X. and Z.M.L. contributed in the discussion. All authors reviewed the manuscript.

Additional Information
Competing financial interests: The authors declare no competing financial interests.

How to cite this article: Wu, Q.-P. et al. Full Valley and Spin Polarizations in Strained Graphene with Rashba Spin Orbit Coupling and Magnetic Barrier. Sci. Rep. 6, 21590; doi: 10.1038/srep21590 (2016).

This work is licensed under a Creative Commons Attribution 4.0 International License. The images or other third party material in this article are included in the article’s Creative Commons license, unless indicated otherwise in the credit line; if the material is not included under the Creative Commons license, users will need to obtain permission from the license holder to reproduce the material. To view a copy of this license, visit http://creativecommons.org/licenses/by/4.0/
Corrigendum: Full Valley and Spin Polarizations in Strained Graphene with Rashba Spin Orbit Coupling and Magnetic Barrier

Qing-Ping Wu, Zheng-Fang Liu, Ai-Xi Chen, Xian-Bo Xiao & Zhi-Min Liu

Scientific Reports 6:21590; doi: 10.1038/srep21590; published online 22 February 2016; updated on 23 January 2017

This Article contains errors in Reference 15 which was incorrectly given as:

Song, Y., Zhai, F. & Guo, Y. Strain-tunable spin transport in ferromagnetic graphene junctions. Appl. Phys. Lett. 103, 183111 (2013).

The correct reference is listed below:

Song, Y., Zhai, F. & Guo, Y. Generation of a fully valley-polarized current in bulk graphene. Appl. Phys. Lett. 103, 183111 (2013).

This work is licensed under a Creative Commons Attribution 4.0 International License. The images or other third party material in this article are included in the article’s Creative Commons license, unless indicated otherwise in the credit line; if the material is not included under the Creative Commons license, users will need to obtain permission from the license holder to reproduce the material. To view a copy of this license, visit http://creativecommons.org/licenses/by/4.0/

© The Author(s) 2017