PRECISE: a domain adaptation approach to transfer predictors of drug response from pre-clinical models to tumors

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Abstract

Motivation: Cell lines and patient-derived xenografts (PDXs) have been used extensively to understand the molecular underpinnings of cancer. While core biological processes are typically conserved, these models also show important differences compared to human tumors, hampering the translation of findings from pre-clinical models to the human setting. In particular, employing drug response predictors generated on data derived from pre-clinical models to predict patient response remains a challenging task. As very large drug response datasets have been collected for pre-clinical models, and patient drug response data are often lacking, there is an urgent need for methods that efficiently transfer drug response predictors from pre-clinical models to the human setting.

Results: We show that cell lines and PDXs share common characteristics and processes with human tumors. We quantify this similarity and show that a regression model cannot simply be trained on cell lines or PDXs and then applied on tumors. We developed PRECISE, a novel methodology based on domain adaptation that captures the common information shared amongst pre-clinical models and human tumors in a consensus representation. Employing this representation, we train predictors of drug response on pre-clinical data and apply these predictors to stratify human tumors. We show that the resulting domain-invariant predictors show a small reduction in predictive performance in the pre-clinical domain but, importantly, reliably recover known associations between independent biomarkers and their companion drugs on human tumors.

Availability and implementation: PRECISE and the scripts for running our experiments are available on our GitHub page (https://github.com/NKI-CCB/PRECISE).

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Supplementary information: Supplementary data are available at Bioinformatics online.

1 Introduction

Cancer is a heterogeneous disease that arises due to the accumulation of somatic genomic alterations. These alterations show high levels of variability between tumors resulting in heterogeneous responses to treatments. Precision medicine attempts to improve response rates by taking this heterogeneity into account and tailoring treatment to the specific molecular make-up of a given tumor. This requires the identification of biomarkers to identify the set of patients that will benefit from a given treatment while sparing those that will not benefit the unnecessary side-effects. However, as there are limited patient response data for a wide range of drugs, pre-clinical modes, such as cell lines and patient-derived xenografts...
(PDXs) have been employed to generate large-scale datasets that enable the development of personalized treatment strategies based on the data-driven identification of biomarkers of response. More specifically, hundreds of pre-clinical models have not only been extensively molecularly characterized, but, more importantly, their response to hundreds of drugs has also been recorded. This has resulted in large public resources containing data derived from cell lines (GDSC1000, Iorio et al., 2016) and PDX models (NIBR PDXE, Gao et al., 2015).

These pre-clinical resources can be employed to build predictors of drug response which are then transferred to the human setting. For example, Getoor and Taskar (2007) and Getoor et al. (2008) integrated data from the pre-clinical domain with data from the patient domain to learn a model for predicting the survival time of patients. By contrast, Figure 1 shows the general workflow of PRECISE. We first independently extract factors from the cell lines, PDXs and human tumors by means of linear dimensionality reduction. We then use a linear transformation that geometrically matches the factors from one of the pre-clinical models to the human tumor factors (Fernando et al., 2013). Subsequently we extract the common factors \( \text{principal vectors (PVs)} \) defined as the directions that are the least influenced by the linear transformation (Fig. 1A). After selection of the most similar PVs, we compute new feature spaces (based on this selection) by interpolating between the source domain (cell line or PDX) and the target domain (human tumor PVs). The feature spaces resulting from this interpolation allow a balance to be struck between the chosen model system and the tumors (Gong et al., 2012; Gopalan et al., 2011). This approach, although using the notion of canonical angles, has been used in instances where the dimensions of pre-clinical models and human tumors are different, as shown in (Gong et al., 2012). These features are used to train a regression model to predict tumor drug response (Fig. 1B). As these features are shared between the pre-clinical models and the human tumors, the regression model is expected to generalize to human tumors. We finally use known biomarker-drug associations (from independent data sources, e.g. mutation status, copy number) as positive controls to validate the predictions of the model in human tumors (Fig. 1C).

This work contains the following novel contributions. First, we introduce a scalable and flexible methodology to find the common factors between pre-clinical models and human tumors. Second, we use this methodology to quantify the transcriptional commonality in biological processes between cell lines, PDXs and human tumors, and we show that these common factors are biologically relevant. Third, we show how these common factors can be used in regression pipelines to predict drug response in human tumors and that we recover well-known biomarker–drug associations. Finally, we derive an equivalent, faster and more interpretable way to compute the geodesic flow kernel, a widely used domain adaptation method in computer vision. Our approach builds up on the work of Gopalan et al. (2011) and Gong et al. (2012) but extend these approaches by first removing irrelevant non-transferable information automatically, and second by finding consensus features within the interpolation scheme to counter the bias towards source features induced by Ridge regression.

Domain adaptation for in-vivo drug response prediction
Materials and methods

2.1 Notes on transcriptomics data
We here present the datasets employed in this study. Further notes on preprocessing can be found in Supplementary Subsection 1.3.

2.1.1 The cell line dataset
We used the GDSC1000 dataset to train predictors on the cell lines. GDSC1000 contains IC50-values for a wide range of drugs. Amongst these drugs, we restricted ourselves to drugs that are either cytotoxic chemotherapies or targeted therapies and have shown an effect on at least one cancer type. This resulted in a set of 45 drugs employed in this study (Supplementary Subsection 1.2). The gene expression profiles of 1031 cell lines are available in total, including 51 breast cancer and 40 skin melanoma lines. Gene expression data are available in the form of FPKM and read counts.

2.1.2 The PDX dataset
We used the Novartis PDXE dataset which includes the gene expression profiles of 399 PDXs, including 42 breast cancer PDXs and 32 skin melanoma PDXs. Transcriptomics data are available in the form of FPKM.

2.1.3 The human tumor dataset
We extracted gene expression profiles for human tumors from The Cancer Genome Atlas. Specifically, we employed gene expression profiles for 1222 breast cancers and 472 skin melanoma cancers. Both FPKM and read counts are available. Mutation and copy number aberrations have been downloaded from the cBioPortal (Gao et al., 2013). Translocation data have been downloaded from TumorFusions (Hu et al., 2018).

2.2 The cosine similarity matrix
Transcriptomics data are high-dimensional with \( p \sim 19,000 \) features (genes) and since these genes are highly correlated, only some combinations of genes are informative. A simple — yet robust (Van Der Maaten et al., 2009) — way to find these combinations is to use a linear dimensionality reduction method, like Principal Components Analysis (PCA), that breaks the data matrix down in \( d_f \) factors.
independently for the source (cell lines or PDXs) and target (human tumors) such that
\[
\forall i \in \{s, t\}, \quad X_i = S_i P_i \quad \text{with} \quad P_i^T P_i = I_{d_i},
\]
where \(s\) and \(t\) refer to the source and target, respectively; \(X\) represents the \((m \times p)\) transcriptomics dataset where each row represents a sample and each column a gene; \(I_{d_i}\) is the identity matrix and \(P \in \mathbb{R}^{d \times p}\) contains the factors in the rows (i.e. the principal components). Since these factors are computed independently for the source and the target, we refer to them as domain-specific factors. Here we only consider PCA since it is widely adopted by the community, and for its direct link to variance that acts as a first-order components. Since these factors are computed independently for the source (cell lines or PDXs) and target (human tumors) such that

\[
\text{maximize} \quad \sum_{i=1}^{d_p} \|P_i^T M - P_i^T I_d\|_F = P_i^T P_i^T,
\]
which is the least squares solution under orthogonality constraints from Equation (1). This optimal transformation consists of the inner product between the source and target factors and therefore quantifies the similarity between the factors. We will therefore refer to it as the cosine similarity matrix. It is also referred to as Bregman matrix divergence in the literature.

### 2.3 Common signal extraction by transformation analysis

As we will show in Subsection 3.1, matrix \(M^*\) is far from diagonal, indicating that there is not a one-to-one correspondence between the source- and target-specific factors. Moreover, using \(M^*\) to map the source-projected data onto the target domain-specific factors would only remove source-specific variation, leaving target-specific factors and the associated variation untouched.

To understand this transformation further, we performed a singular value decomposition (SVD), i.e. \(P_i^T = U_i V_i^T\), where \(U\) and \(V\) are orthogonal of size \(d_i\) and \(\Gamma\) is a diagonal matrix. \(U\) and \(V\) define orthogonal transformations on the source and target domain-specific factors, respectively, and create a new basis for the source and target domain-specific factors:

\[
s_k = \left( P_i^T U \right)_k \quad \text{and} \quad t_k = \left( P_i^T V \right)_k \quad \text{for all} \quad k \in \{1, \ldots, d_i\}.
\]

These define the principal vectors (PVs) (Golub and Van Loan, 2012) that have the following equivalent definition:

\[
\forall k \in \{1, \ldots, d_i\}, \quad s_k, t_k = \arg \max_{s \in \text{span}(P_i), \ t \in \text{span}(P_i)} s^T t \quad \text{s.t.} \quad \forall i < k, \quad \begin{cases} s_i \perp \perp s_k, t_i \perp \perp t_k \quad \text{and} \quad s^2 s = t^2 t = 1. \end{cases}
\]

\(s_1, \ldots, s_{d_i}\) define the same span as the source-specific factors—and so do \(t_1, \ldots, t_{d_i}\) with the target-specific factors. PVs thus retain the same information as the original domain-specific factors, but their cosine similarity matrix (\(\Gamma\)) is diagonal. The PVs \\(\{s_1, t_1\}, \ldots, \{s_{d_i}, t_{d_i}\}\) are derived from the source and target domain-specific factors and the pairs are sorted in decreasing order based on their similarity.

\[
\text{Algorithm 1 PRECISE}
\]

**Require:** source data \(X_s\), target data \(X_t\), number of domain-specific factors \(d_p\), number of PV \(d_{pv}\).

\[
P_s \leftarrow d_p \quad \text{source domain-specific factors (e.g. Principal Components)}
\]

\[
P_t \leftarrow d_p \quad \text{target domain-specific factors (e.g. Principal Components)}
\]

\[
U, V, \Gamma \leftarrow \text{SVD of} \ P_t P_t^T = U_t \Gamma V_t^T
\]

\[
Q_s = (P_s U)^T
\]

\[
Q_t = (P_t V)^T
\]

\[
\Phi = \Phi_Q, Q_t \quad \text{as specified in Equation (7)}
\]

**end for**

\[
F \leftarrow [\Phi_1(t_1), \Phi_2(t_2), \ldots, \Phi_{d_p}(t_{d_p})]^T
\]

\[
X_{proj} = X^s F
\]

\[
X_{proj} = X^t_F
\]

**Train a regression model on** \(X_{proj}\)

**Apply it on the projected target data** \(X_{proj}^t\).

The top PVs are very similar between source and target while the bottom pairs are very dissimilar. For this reason we restricted the analysis to the top \(d_{pv}\) PVs. In Equation (4), PVs have been defined as unitary vectors that maximize the inner product. The similarities therefore range between 0 and 1, and can thus be interpreted as the cosines of principal angles defined as

\[
\forall k \in \{1, \ldots, d_i\}, \quad \theta_k = \arccos\left(s_k^T t_k\right).
\]

We define \(Q_s, Q_t\) as the matrix with the ordered PVs of the source and the target, respectively, with the factors in the rows.

### 2.4 Factor-level gene set enrichment analysis

In order to associate the PVs and the consensus representation with biological processes, we use Gene Set Enrichment Analysis (Subramanian et al., 2005). For each factor (i.e. a PV or a consensus factor), we projected the tumor data onto it, yielding one score per tumor sample. These sample scores where then used in the GSEA package as continuous phenotypes. We employed sample-level permutation to assess significance based on 1000 permutations. We used two curated gene sets from the MSigDB package: the canonical pathways and the chemical and genetic perturbations.

### 2.5 Building a robust regression model

Given the common factors, we can create a drug response predictor based on these pairs of PVs. There are different ways to use these pairs of PVs. We could restrict ourselves to either the source or target PVs, but it would only support one of the two domains. Alternatively, we could use both source and target PVs. However, this would also be sub-optimal for the following reason. Source PVs are computed using the source data and maximize the explained variance of the source. Hence the source data projected on the source PVs is likely to have higher variance than the source data projected on the target PVs, since target PVs have not been optimized.
for the source data. If we were to apply penalized regression on the source data projected on both the source and target PVs, it would preferably select the source PVs. This would in turn lead to a loss of generalizability as source-specific information is weighed more heavily that target-specific information.

One way to circumvent this issue is to construct a new feature space using ‘intermediate’ features based on interpolation between the spaces spanned by the source and target PVs. For instance, in the plane that joins $s_1$ and $t_1$, the rotations from the former to the latter vector could contain a better representation. The intermediate features are expected to be domain invariant as they represent a trade-off between source and target domains and can thus be used in a regression model.

There are an infinite number of parameterizations for the intermediate features that join the source to the target PVs. As suggested in Gopalan et al. (2011) and Gong et al. (2012), we consider the geodesic flow representing the shortest path on the Grassmannian manifold. We derive (see Supplementary Subsection 2.2 for the complete proof) a parameterization of the geodesic as a function of the PVs. Let’s define $\mathbf{I}$ and $\mathbf{E}$ as

$$
\forall t \in [0, 1], \quad \mathbf{I}(t) = \text{diag} \left( \frac{\sin \left( (1 - t) \theta_1 \right)}{\sin \theta_1} \right),
$$

$$
\mathbf{E}(t) = \text{diag} \left( \frac{\sin \theta_1}{\sin \left( t \theta_1 \right)} \right),
$$

where $\text{diag}(\cdot)$ is the diagonal matrix. The intermediate representations are then defined by the geodesic path that corresponds to a rotation for each pair of PVs:

$$
\Phi : t \in [0, 1] \rightarrow Q^T \mathbf{I}(t) + Q^T \mathbf{E}(t).
$$

This geodesic path contains, for each pair of PVs, the features forming a rotating arc between the source and the target PVs. This formulation of the geodesic flow has the advantage of being based on the PVs, and not the domain-specific factors, in contrast to the formulation used in Gopalan et al. (2011) and Gong et al. (2012). Non-similar PVs can be removed prior to interpolation.

However, we show in Supplementary Subsections 2.3 and 2.4 that projecting on all these features is equivalent, even in the infinite case, to projecting onto both the source and the target PVs, with the undesirable consequences described above. It is therefore preferable to create, for each pair of PVs, a single interpolated feature that strikes the right balance between the information contained in the source and target spaces. Consequently, a regression model trained on source data projected on the interpolated feature would generalize better on the target space. To construct these interpolated, or consensus features, we use the Kolmogorov–Smirnov (KS) statistic as a measure of similarity between the source and target data, both projected on a candidate interpolated feature.

Specifically, by denoting $d_{pv}$ as the number of selected PVs, for $i \in \{1, \ldots, d_{pv}\}$ and $t \in [0, 1]$ the feature at position $t$ between the $i$th pair is defined as $\Phi_i(t) = (\Phi_i(t))_i$. For each pair of PVs, we then select the position $t_i$ that minimizes the KS statistic between the distributions of the source and target data projected on this feature. Let denote by $D$ the KS statistic between the two projected datasets. We thus define $t_i$ as:

$$
t_i = \min_{t \in [0, 1]} D (X_i \Phi_i(t), X_t \Phi_t(t)).
$$

This optimization is performed using a uniformly spaced grid search in interval $[0, 1]$ with step size 0.01, moving between the source and the target.

This process is repeated for each of the top $d_{pv}$ PVs, resulting in an optimal interpolation position for each. These positions are then plugged back into the geodesic curve to yield the domain-invariant feature representation $F$ defined as:

$$
F = [\Phi_1(t_1), \Phi_2(t_2), \ldots, \Phi_{d_{pv}}(t_{d_{pv}})]^T.
$$

The source data can now be projected on these features and the resulting dataset can be used for training a regression model that can be more reliably transferred to the target (human tumor) data.

### 2.6 Notes on implementation

Once the number of principal components and PVs have been set (see Supplementary Subsection 5 for an example), the only hyper-parameter that needs to be optimized is the shrinkage coefficient ($\lambda$) in the regression model. We employed a nested 10-fold cross-validation for this purpose. Specifically, for each of the outer cross-validation folds, we employed an inner 10-fold cross-validation on 90% of the data (outer training fold) to estimate the optimal $\lambda$. To this end, in each of the 10 inner folds, we estimated the common subspace, projected the inner training and test fold on the subspace, trained a predictor on the projected inner training fold and determined the performance on the projected inner test fold as a function of $\lambda$. After completing these steps for all 10 inner folds, we determined the optimal $\lambda$ across these results. Then we trained a model with the optimal $\lambda$ on the outer training fold and applied the predictor to the remaining 10% of the data (outer test fold). We then employed the Pearson correlation between the predicted and actual values on the outer test folds as a metric of predictive performance. Note that every sample in an outer test fold is never employed to perform either domain adaptation nor in constructing the response predictor in that same fold.

The methodology presented in this section is available as a Python 3.7 package available on our GitHub page. The domain adaptation step has been fully coded by ourselves and the regression and cross-validation uses scikit-learn 0.19.2 (Pedregosa et al., 2011).

### 3 Results

#### 3.1 Pre-clinical models and human tumors show limited similarity

The cosine similarity matrix $M^*$ presented in Subsection 2.2 gives an indication of the similarity between the source and the target principal components. A clear correspondence between factors would yield a diagonal matrix, allowing a single target principal component to be assigned to a single source principal component. Using data presented in Subsection 2.1, Figure 2A and C instead, show that this is clearly not the case as each source principal component shows similarity to a number of target principal components. Roughly speaking, for cell lines (Fig. 2A), the top four source factors show high similarity with the top ten target factors. The similarity between PDXs and human tumor principal components is generally higher and holds for a larger set of factors (Fig. 2C). This is to be expected since PDXs are believed to show higher resemblance to human tumors than cell lines.

When tumor data are projected on the cell line principal components, the explained variance accounts for around 30% of the variance explained when mapping the data on the human tumor principal components (Fig. 2B). For PDXs, on the other hand, this amounts to 40% (Fig. 2D), again indicating that PDXs resemble tumors more closely than cell lines. The bootstrap confidence
intervals obtained by bootstrapping the tumor samples show that the obtained variance proportions differ significantly (Fig. 2B and D). However, for both model systems, the explained variance is relatively small, indicating that the data for both model systems are not drawn from the same probability distribution as the human tumors, underscoring the need for a proper alignment of the datasets prior to transferring a predictor from the pre-clinical modes to the human tumors.

In order to show that some gene-level structure is shared between these systems, we permuted the order of the genes in the source data only. We then computed the cosine similarities and target explained variance as before (Supplementary Subsection 3.2). Neither the cosine similarity values, nor the variance explained were as high as for the original unshuffled data, suggesting that model systems and tumor cells do share some feature-level structure. We also compared the target data to samples drawn uniformly from a Gaussian with a random covariance matrix in order to study whether the similarity between source and target data is significant. As shown in (Supplementary Subsection 3.3), this also yields values three to four orders of magnitude lower than observed. This all shows the existence of a shared signal between source and target.

### 3.2 PVs capture common biological processes

The source and target principal components are employed to compute the ‘common factors’ or PVs for both the source and target (see Subsection 2.3). Figure 3A shows that the source and target PVs exhibit a perfect one-to-one correspondence. This is not unexpected since, by construction, this cosine similarity matrix is the central diagonal matrix ($T$) in the SVD of the optimal transformation between source and target [Equation (2)]. The source and target PVs are directions that respectively support the source and the target variance and are ranked by their pairwise similarity. When 20 principal components are computed between breast cell lines and breast tumors, the similarity between the PVs ranges from 0.78 to 0.02, indicating that the low ranking pairs are almost orthogonal. Although 0.78 could seem like a low value for the top similarity, such a value remains significantly large for a 19 000-dimensional space. Supplementary Figure S5A depicts the top 20 PVs obtained for breast PDXs and breast tumors and shows that the top similarity coefficients are higher than for cell lines, as expected.

To determine how PVs are related to genes, we calculated the contribution of each gene to the PVs. We subsequently employed these contributions in a gene set enrichment analysis (see Subsection 2.4) to compute the association between the pathways in a given data base and the PVs. This resulted in a vector of pathway scores for every PV. We then computed the pathway similarity between a pair of PVs as the correlation of the pathway scores. Figure 3B shows these correlations for the top 20 pairs of cell line and human tumor PVs for six different pathway databases. Correlations are
close to one for the first PVs, indicating high pathway similarities, whereas the pathway similarity decreases (even becoming negative) for the lower ranked PVs. Taken together this shows that the PVs capture shared pathway information between the model systems and the human tumors.

When zooming in on the individual pathway similarities, we observe roughly two types of behaviors (Fig. 3C and D). First, some gene sets show significant enrichment for the top PVs as well as lower ranked PVs. These gene sets are related to breast cancer subtypes, cell cycle and DNA replication, i.e. gene sets one would expect to be enriched in both cell lines and human tumors. Second, some gene sets show enrichment for the more dissimilar PVs. Most of these gene sets are related to the response of the immune system and the extra-cellular matrix, entities which are not fully present in the cell lines. Supplementary Figure S5C shows the results of the gene set enrichment analysis for breast PDXs and human tumors. We observe roughly the same behavior as for the cell lines and human tumors, especially regarding the gene sets enriched in the top PVs and the enrichment of immune related sets. However, we do observe that the extra-cellular matrix shows enrichment in higher ranked PVs (PV 5 and 7) which is in line with what one would expect in a PDX model. Taken together, this indicates that the PVs that are most similar between pre-clinical models and human tumors provide a mechanism to capture the information shared between

Fig. 3. PVs computed from breast cell lines and breast tumors from 20 principal components. (A) The Cosine Similarity matrix for cell line and tumor PVs. The values on the diagonal show the similarities within the corresponding pairs of PVs. Similarity starts at 78% and goes down to 2% for the last pair (not shown). The off-diagonal values are almost zero, showing that pairs of PVs of unequal rank are orthogonal to one another. (B) The Spearman correlations between the Normalized Enrichment Scores (NES) of source and target PVs for the different gene sets employed. The top PVs show similar enrichments while the bottom ones show little similarity, even negative correlation. This shows that top PVs represent the same biological phenomena. (C) The NES based on the canonical pathways for each PV pair with the NES for the source PV on the left and the NES for the target PV on the right (separated by a dashed line). Non-significant gene sets are represented as white cells. For this figure panel, we selected the 10 gene sets that were most highly enriched in the first five PVs, the 10 gene sets that showed the highest enrichment in the bottom PVs as well as all the gene sets related to extra-cellular matrix. The top PVs are exclusively enriched in pathways related to cell cycle. Immune system-related pathways are enriched in the middle and bottom PVs and PVs at the bottom tend to show enrichment for the target PVs only. (D) The NES for each PV as displayed in (C), for the CHARAFE and VANTVEER gene sets. The top PVs are significantly enriched in sets associated with breast cancer subtypes.
model systems are tumors, while discarding processes that behave differently.

3.3 The consensus representation yields reduced but competitive performance

Using PRECISE, we have derived a consensus feature representation which is both biologically informative and shared between the source and target. This representation can be used in a regression model trained on the source drug response data. Since Jang et al. (2014) demonstrated that regularized linear models such as Ridge regression or ElasticNet (Zou and Hastie, 2005) yield state-of-the-art performance for drug response prediction and since it is widely used, we will be employing Ridge regression.

We computed the predictive performance of PRECISE for 84 drug and tumor type combinations (Supplementary Subsection 1.2). For a given drug and tumor type combination, we used PRECISE with all cell lines—i.e. the 1.001 cell lines across the 31 tissue types—as source and the corresponding tumor type as target. For example, to predict response to Vemurafenib in melanoma, we used all the cell lines from the GDSC panel, regardless of tumor type, as source, and melanoma tumors from The Cancer Genome Atlas as target. We used 70 principal components since the variance explained shows a plateau after 70 principal components (Supplementary Subsection 5.1). For the selection of the top PVs, we compared the obtained similarity values of the source and target PVs to the similarities obtained with random data and put the cut-off at the top 40 PVs (Supplementary Subsection 5.2). We then computed the interpolated feature space employing the KS statistic and employed this feature space in the subsequent Ridge regression models.

As shown in Figure 4A, PRECISE achieves predictive performances that are reduced but comparable with a Ridge regression model trained on the raw cell line gene expression data. The Pearson correlation between Ridge regression and PRECISE performance is $r = 0.97$ with a median relative reduction in Pearson correlation of 0.039. As it is the aim of the consensus representation to focus on the commonalities between the cell lines and the human tumors, it is to be expected that such a representation will not fully capture the variation in the cell lines as it is also adapted to the variation in the human tumors. Hence, a small drop in performance is not unexpected, as long as it results in improved predictions on the human tumor data, which we will demonstrate in the next section.

3.4 Domain-invariant regression models recover biomarker–drug associations

To validate our predictor on human tumor data, we follow Geleher et al. (2017) by comparing the prediction in human tumors with the performance of independent, known biomarkers. Since we exclusively use gene expression to stratify patients in terms of their response to a certain therapy, we can use known biomarkers derived from other data sources—e.g. mutations or copy number changes—to create an independent response stratification of the human tumors against which we can compare our approach. In order to predict the $IC_{50}$ in human tumor, we trained PRECISE using all the cell lines, irrespective of their tissue of origin, and the corresponding tumor type.

The first known and clinically employed association between a biomarker and response to a drug that we tested is the association between the presence of an ERBB2 amplification and response to Lapatinib in breast cancer. Since Lapatinib specifically targets the ERBB2 growth factor, breast tumors that overexpress this growth factor, and are therefore addicted to this signal, respond well to this therapy. An accurate stratification of the breast tumors by PRECISE would therefore show a negative association with the level of ERBB2 amplification in the tumors, as the tumors predicted to be most sensitive (lowest $IC_{50}$) would show the highest level of ERBB2 copy number amplification. This is exactly what we observe in Figure 4B, where the predicted $IC_{50}$ and the observed ERBB2 copy number amplification level show a Spearman correlation of $\rho = -0.32$. In addition, the copy number loss and copy number neutral categories show statistically significant differences in predicted $IC_{50}$ compared to the samples harboring a copy number gain.

The second known association that we investigated is the association between the presence of a $BRAF^{V_{600E}}$ mutation and response...
to MEK inhibitors in skin melanomas, while other BRAF mutations have not exhibited this association. As shown in Figure 4C, the IC50s predicted for Trametinib by PRECISE show a significant difference between tumors bearing a BRAFV600E mutation and tumors that are wild-type for this gene. In addition, the PRECISE predictions also show a significant difference in predicted Trametinib response between tumors bearing a BRAFV600E mutation and tumors bearing other mutations in this gene.

Other known associations we tested against are shown in Supplementary Figure S9: Dabrafenib sensitivity predicted by BRAFV600E mutations (Supplementary Fig. S9A), Vemurafenib sensitivity predicted by BRAFV600E (Supplementary Fig. S9B) mutations, Imatinib sensitivity predicted by BCR/ABL translocations in Acute Myeloid Leukemia (Supplementary Fig. S9C), Olaparib sensitivity predicted by BRCA1 deletion in breast cancer (Supplementary Fig. S9D) and Talazoparib sensitivity predicted by BRCA1 deletion in breast cancer (Supplementary Fig. S9E). These results have been computed using all the cell lines as source. When using solely cell lines from the tissue under consideration, the same results are observed, with a larger difference in predicted sensitivity for BRAFV600E mutated tumors for Trametinib (Supplementary Fig. S9G), Dabrafenib (Supplementary Fig. S9H) and Vemurafenib (Supplementary Fig. S9I), and a very clear separation of BCR/ABL translocated tumors from the rest under Imatinib treatment (Supplementary Fig. S9J).

Finally, we compared results from PRECISE with two baseline approaches. We replicated results from Geeleher et al. (2017) by employing Ridge regression on either the raw or ComBat corrected gene expression data. Correcting for batch effect with ComBat provides a baseline comparison for our methodology. Lapatinib sensitivity is predicted as well as by PRECISE (Supplementary Fig. S10A) with or without the ComBat preprocessing step. For Dabrafenib, the association with BRAFV600E is recovered, with and without ComBat. However, while the strength of the association obtained with ComBat is comparable to the association recovered with PRECISE, the strength diminishes without ComBat preprocessing (Supplementary Fig. S10C). In contrast to PRECISE, neither Ridge regression nor Ridge regression in combination with ComBat were able to recover the association between the BRAFV600E mutation and Trametinib.

In summary, PRECISE is capable of retrieving all tested associations between known biomarkers and drug response, while current state-of-the-art approaches fail to recover all these associations.

4 Discussion

Using high throughput sequencing and screening technologies, scientists have leveraged the versatility of pre-clinical models over the past decade to create powerful predictors of drug response. However, due to the intrinsic differences between cell lines, PDXs and real human tumors, these predictors cannot be expected to directly translate to the human setting. We have quantified the overlap in terms of the transcriptomics signal between these pre-clinical models and human tumors. We then introduced PRECISE, a domain adaptation framework that finds shared mechanisms between pre-clinical models and human tumors that display the same behavior across these systems.

PRECISE generates PVs, pairs of factors that capture the common variance between pre-clinical models and human tumors. The top pairs of PVs are most similar, and thus recapitulate molecular behavior shared between the systems. The least similar PVs, can be discarded since they correspond to mechanisms not shared across systems.

These vectors depend on the choice of linear dimensionality reduction methods employed. We employed PCA, but other methods have been proposed in the literature (e.g. Argelaguet et al., 2018; Bismeijer et al., 2018), all having different qualities (e.g. being biologically meaningful, filtering out noise, etc.). The versatility of our method enables the use of any dimensionality reduction scheme, as long it finds an informative linear subspace.

Interpolation between the source and target PVs gives rise to features that balance the contribution of pre-clinical models and tumors. We showed (Supplementary Section 2) that interpolating between the PVs is equivalent to employing the Geodesic Flow Kernel approach that relies on the geodesics on the Grassmannian manifold (Gong et al., 2012) and has already yielded state-of-the-art performance in Computer Vision.

Recently, other ways to interpolate between the source and the target domains have been proposed, such as Casiraghi et al. (2015) that use a spline instead of the geodesic. We devised a simple, yet effective interpolation scheme between the source and target PVs where we employed the similarity based on the KS statistic between the source and target data projected on the interpolated space to arrive at a consensus representation. This representation strikes the right balance between the pre-clinical models and the human tumors.

We subsequently projected the data on this consensus representation and trained a regression model which takes the distribution of the tumor gene expression data into account. This work considered Ridge and ElasticNet, but our approach is versatile and can be employed in combination with any classification or regression approach.

We showed that a Ridge regression model based on the consensus representation achieves slightly reduced performance compared to state-of-the-art approaches applied directly to the raw cell line gene expression data. This is to be expected, as the consensus representation filters out cell line specific information while capturing more relevant tumor variation, hence enabling efficient transfer to the tumor samples.

We finally compared our predictions to the performance of known biomarkers such as BRAFV600E in skin cancer or ERBB2 amplification in breast cancer and show that our method can reliably recover the associations between these biomarkers and their companion drugs. We show that response to Lapatinib can be predicted better when all cell lines are used for domain adaptation. On the other hand, using all cell lines reduced the power to predict response to Vemurafenib, although the resulting association with BRAFV600E mutation status remained significant. This might be due to the ubiquity of the ERBB2 amplification in several tumor types, in contrast to the BRAFV600E mutation that is specific to particular tumor types.

We restricted our study to domain adaptation based on transcriptomics data only, as it has been shown to be the most predictive data type (Jang et al., 2014). However, dissimilar behavior between pre-clinical models and human tumors might also be present in other molecular data types. A multi-omic drug response predictor should also correct for these differences, which will require a multi-omic domain adaptation approach which accommodates the unique data characteristics of each molecular data type.

Other methods have recently been proposed to tackle the problem of transferring pre-clinical predictors to human tumors. In Webber et al. (2018), the authors create a correlation network for each omics data type and jointly map these networks onto a
protein–protein interaction network. They then select the cliques that are conserved across omics-layers. In Normand et al. (2018), the authors present an elegant framework for fold-change prediction in humans based on data from mouse models. Using fold-change data from both humans and mouse, a linear model is fitted at the gene-level. This linear model is then used to predict fold changes in human tumors for novel conditions. The problem of translating from model systems to human has broad applications and we envision that it will be a very active area of future research.

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References
Argelaguet,R. et al. (2018) Multi-Omics Factor Analysis—a framework for unsupervised integration of multi-omics data sets. Mol. Syst. Biol., 14, e8124.
Ben-David,U. et al. (2017) Patient-derived xenografts undergo mouse-specific tumor evolution. Nat. Genet., 49, 1567.
Ben-David,U. et al. (2018) Genetic and transcriptional evolution alters cancer cell line drug response. Nature, 560, 325–330.
Bismeijer,T. et al. (2018) Molecular characterization of breast and lung tumors by integration of multiple data types with functional sparse-factor analysis. PLoS Comput. Biol., 14, e1006520.
Caseiro,R. et al. (2015) Beyond the shortest path: unsupervised domain adaptation by sampling subspaces along the spline flow. In: Proceedings of the IEEE Conference on Computer Vision and Pattern Recognition, pp. 3846–3854.
Csurka,G. (2017) A Comprehensive Survey on Domain Adaptation for Visual Applications. Springer International Publishing, Cham, pp. 1–35.
Duan,L. et al. (2012) Domain transfer multiple kernel learning. IEEE Trans. Pattern Anal. Mach. Intell., 34, 465–479.
Fernando,B. et al. (2013) Unsupervised visual domain adaptation using subspace alignment. In: Proceedings of the IEEE International Conference on Computer Vision, pp. 2960–2967.
Gao,H. et al. (2015) High-throughput screening using patient-derived tumor xenografts to predict clinical trial drug response. Nat. Med., 21, 1318.
Gao,J. et al. (2013) Integrative analysis of complex cancer genomics and clinical profiles using the eBioPortal. Sci. Signal., 6, p11.
Geeleher,P. et al. (2014) Clinical drug response can be predicted using baseline gene expression levels and in vitro drug sensitivity in cell lines. Genome Biol., 15, R47.
Geeleher,P. et al. (2017) Discovering novel pharmacogenomic biomarkers by imputing drug response in cancer patients from large genomics studies. Genome Res., 27, 1743–1751.
Gillet,J.-P. et al. (2013) The clinical relevance of cancer cell lines. J. Natl. Cancer Inst., 105, 452–458.
Golub,G.H. and Van Loan,C.F. (2012) Matrix Computations. Vol. 3. JHU Press, Baltimore, MD, USA.
Gong,B. et al. (2012) Geodesic flow kernel for unsupervised domain adaptation. In: 2012 IEEE Conference on Computer Vision and Pattern Recognition (CVPR), pp. 2066–2073. IEEE.
Gopalan,R. et al. (2011) Domain adaptation for object recognition: an unsupervised approach. In: 2011 IEEE International Conference on Computer Vision (ICCV), pp. 999–1006. IEEE.
Hu,X. et al. (2018) TumorFusions: an integrative resource for cancer-associated transcript fusions. Nucleic Acids Res., 46, D1144–D1149.
Iorio,F. et al. (2016) A Landscape of Pharmacogenomic Interactions in Cancer. Cell, 166, 740–754.
Jang,L.S. et al. (2014) Systematic assessment of analytical methods for drug sensitivity prediction from cancer cell line data. Pac. Symp. Biocomput., 2014, 63–74.
Normand,R. et al. (2018) Found in translation: a machine learning model for mouse-to-human inference. Nat. Methods, 15, 1067.
Pan,S.J. and Yang,Q. (2010) A survey on transfer learning. IEEE Trans. Knowl. Data Eng., 22, 1345–1359.
Pan,S.J. et al. (2008) Transfer learning via dimensionality reduction. In: AAAI, Vol. 8, pp. 677–682.
Pan,S.J. et al. (2011) Domain adaptation via transfer component analysis. IEEE Trans. Neural Netw., 22, 199–210.
Pedregosa,F. et al. (2011) Scikit-learn: machine learning in Python. J. Mach. Learn. Res., 12, 2825–2830.
Song,L. et al. (2008) Colored maximum variance unfolding. In: Advances in Neural Information Processing Systems, pp. 1383–1392.
Subramanian,A. et al. (2005) Gene set enrichment analysis: a knowledge-based approach for interpreting genome-wide expression profiles. Proc. Natl. Acad. Sci. USA, 102, 15545–15550.
Van Der Maaten,L. et al. (2009) Dimensionality reduction: a comparative review. J. Mach. Learn. Res., 10, 66–71.
Webber,J.T. et al. (2018) Integration of tumor genomic data with cell lines using multi-dimensional network modules improves cancer pharmacogenomics. Cell Syst., 7, 526–536.
Zou,H. and Hastie,T. (2005) Regularization and variable selection via the elastic net. J. R. Stat. Soc. Series B Stat. Methodol., 67, 301–320.