Intercell Interference-Aware Scheduling for Delay Sensitive Applications in C-RAN

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Abstract—Cloud radio access network (C-RAN) architecture is a new mobile network architecture that enables cooperative baseband processing and information sharing among multiple cells and achieves high adaptability to nonuniform traffic by centralizing the baseband processing resources in a virtualized baseband unit (BBU) pool. In this work, we formulate the utility of each user using a convex delay cost function, and design a two-step scheduling algorithm with good delay performance for the C-RAN architecture. In the first step, all users in multiple cells are grouped into small user groups, according to their interference levels and estimated utilities. In the second step, channels are matched to the user groups to maximize the system utility. The performance of our algorithm is further studied via simulations, and the advantages of C-RAN architecture is verified.

I. INTRODUCTION

Recently, the traffic load of wireless cellular networks has grown dramatically due to increasing number of smart mobile devices. In order to satisfy the growing demands and provide the required quality of service (QoS) guarantees and high reliability in next-generation 5G wireless systems, several advanced techniques have been proposed, and cloud radio access network (C-RAN) is one novel mobile network architecture that improves the performance of cellular networks. By centralizing the baseband processing resources of multiple cells in a virtualized baseband unit (BBU) pool, C-RAN can achieve cooperative processing among different cells and utilize the BBUs more efficiently. As shown in Figure 1, remote radio heads (RRHs) and BBU are separated geographically and connected via optical fibers in the C-RAN architecture. BBU pool is shared between cells as a virtualized cluster. Compared with the conventional architectures in which BBUs of different cells are not shared, C-RAN can achieve information exchange and cooperative processing between cells more easily with low latency, and it has high adaptability to nonuniform traffic. A comprehensive survey on C-RAN and its implementation is provided in [3].

For most orthogonal frequency division multiple access (OFDMA)-based cellular networks, intercell interference (ICI) is a significant interference source because of the frequency reuse among multiple neighbouring cells. Many advanced methods have been studied to control ICI. For instance, the soft frequency reuse (SFR) scheme is proposed in [4] and [5], in which cell edge users transmit with high power in non-overlapping cell edge bands allocated to adjacent cells, and center users use the cell center bands with limited transmission power. The authors in [6] further compared the performance of SFR with partial frequency reuse scheme. In these conventional ICI control schemes, cooperation between neighbouring cells are not considered, which limits their performances. In C-RAN, cooperative processing among the cells sharing the same BBU pool becomes easier and more efficient, which helps to improve ICI control. In [7], a resource allocation and RRH association algorithm was proposed for ICI coordination in a long term evolution (LTE) heterogeneous network setting with C-RAN architecture. However, optimization over multiple cells greatly increases the complexity, which causes problems in delay sensitive applications. In this work, we propose, for C-RAN, an ICI-aware scheduling algorithm that controls the ICI with relatively low complexity.

In addition, packet delay is an important performance criterion for delay sensitive applications such as live video streaming and online gaming. In most of the related studies considering ICI control, the objectives are interference minimization, SINR maximization and throughput maximization, and hence delay minimization is not addressed. In this work, our scheduling algorithm performs user grouping and resource allocation with the goal of minimizing the delay violation probability. The utility formulation used in this paper has also been employed in our previous work [8].

The main contributions in this paper are listed as follows:

1) We propose a two-step ICI-aware scheduling algorithm for C-RAN that minimizes the delay violation probability of the system.
2) We design a novel user grouping algorithm for the user grouping step, which controls the interference among the users in the same group.
3) We formulate the channel assignment problem in the second step as a maximum-weight matching problem, which can be solved using standard algorithms in graph theory.
4) We verify the performance of our algorithm via simulations, and compare our algorithm with a conventional soft frequency reuse (SFR) algorithm. Also, the influence of the system parameters is investigated with the help of numerical results.

II. SYSTEM MODEL AND PRELIMINARIES

In this section, we introduce our system model in the first subsection, and subsequently describe the utility formulation used in this work in the second subsection.
resources from the BBU pool, and the channel resources are assigned to the users using a scheduling algorithm. Also, it is assumed that the distributions of the fading coefficient stay constant within a time frame. Block fading is assumed in this work, in which the fading coefficients stay constant over a duration of $T$, and change across frames. Also, it is assumed that the distributions of the fading coefficients are identical in different channels.

At the beginning of each time frame, BBU pool allocates channel resources to the users using a scheduling algorithm. It is assumed that users keep silent until they get channel resources from the BBU pool, and the channel resources are returned back at the end of each time frame. There are four assumptions for the channel assignment:

1. The number of users is much greater than the number of available channels, $N_u \gg N_{ch}$. In such a case, each user transmits using one channel at most.
2. Only the users that can satisfy the pair-wise interference constraints given in (9) can reuse the same channel resource.
3. Users associated with the same RRH cannot reuse the same channel resource.
4. The BBU pool is assumed to have perfect channel side information (CSI), and it is also assumed to keep track of the buffer status (including the queue length and packet delay information) of each user.

The first assumption addresses a heavy load scenario, in which all channels are reused by multiple users and ICI becomes a significant problem. In such a case, the assumption that each user transmits using one channel at most helps to reduce ICI caused by excessive frequency reuse. The second assumption limits the interference, and the third assumption guarantees that all interference comes from neighbouring cells. The last assumption guarantees that the BBU pool has enough information to conduct our scheduling algorithm. CSI is estimated at RRHs and sent to the BBU pool via optical fiber links. Information of the arrival rates at all users is also sent to the BBU pool via special feedback channel and the BBU pool can track the queue status at each user.

Define $\Psi_j(t)$ as the set of users that use the $j$th channel in the $t$th time frame, and $\xi_{i,j}(t)$ as the indicator function that indicates whether the $j$th channel is assigned to the $i$th user in the $t$th time frame. In other words, $\xi_{i,j}(t) = 1$ if $i \in \Psi_j(t)$, otherwise $\xi_{i,j}(t) = 0$. According to our first channel assignment assumption, we have $\sum_{j=1}^{N_{ch}} \xi_{i,j}(t) \leq 1$. Then for the $t$th time frame, the received signal corresponding to user $i$ at its associated base station can be expressed as

$$y_i = h_i^j x_i + \sum_{k \notin \Psi_j(t)} h_k^j x_k + n_i^j$$

if $\xi_{i,j}(t) = 1$. Above, $x_i$ represents the transmitted signal of user $i$, $h_i^j$ denotes the fading coefficient of the channel between user $i$ and its corresponding RRH, $h_k^j$ denotes the fading coefficient of the interference channel between user $k$ and the RRH associated with user $i$, and $n_i^j$ is the background noise at the base station associated with user $i$ which is assumed to follow an independent complex Gaussian distribution with zero mean and variance $\sigma^2$, i.e., $n_i^j \sim CN(0, \sigma^2)$. The transmission rate of user $i$ in the $t$th time frame is given by

$$r_i(t) = TB \log_2 \left( 1 + \frac{P_i z_i^j}{B \sigma^2 + \sum_{k \notin \Psi_j(t)} P_k z_k^j} \right)$$

where $j$ is the index of the channel that is assigned to user $i$, $P_i$ represents the transmission power of user $i$, $T$ is the duration of each time frame, $B$ is the bandwidth of each channel, $z_i^j = |h_i^j|^2$, and $z_k^j = |h_k^j|^2$.

### B. Convex Delay Cost and Utility

In the convex delay cost approach, the cost function of a packet is formulated as an increasing convex function of its delay $D$. The high performance of this approach was shown in [10] for a single-cell model without any interference. In our previous work [8], we designed a scheduling algorithm using the convex cost function provided in [10] for a D2D communication setting, and verified via simulations that this approach has very good delay performance. Here, we define the cost of the $j$th packet in the buffer at user $i$ as

$$C_{j,i} = \frac{d_{j,i}}{D_i},$$

where $d_{j,i}$ is the current delay of this packet, and $D_i$ is the target delay of user $i$. At user $i$, the number of packets that can be transmitted in the current time frame is

$$\mu_i = \min \{ \{i, r_i/I_p\} \},$$

We assume ideal feedback without delay and error.
where $l_i$ is the number of packets waiting in the buffer at user $i$, $I_p$ is the size of each packet, and $\lfloor \cdot \rfloor$ represents the floor function. The utility of user $i$ is defined as
\[
U_i = \sum_{j=1}^{N_u} C_{j,i},
\]
and the utility of the system is defined as
\[
U = \sum_{i=1}^{N_u} U_i = \sum_{i=1}^{N_u} \sum_{j=1}^{\mu_i} C_{j,i}.
\]
The utility given in (6) represents the total cost of the packets that can be transmitted to the base station in the current time frame. At the beginning of each time frame, the BBU pool runs a scheduling algorithm for channel assignment to maximize the utility. In the next section, a detailed discussion on our scheduling algorithm is provided.

III. ICI-AWARE SCHEDULING ALGORITHM FOR C-RAN

In this section, we introduce our scheduling algorithm. In each time frame, our scheduling algorithm assigns channels to the users in a way that maximizes the utility given in (6). Since we consider a C-RAN architecture, the BBU pool has the knowledge of all fading distributions and cost functions of each packets, and it can allocate channel resources to all users in different cells together. Our scheduling algorithm can be divided into two steps, namely the user grouping step and channel matching step. In the first step, we divide all users into small groups such that the users in the same group reuse the same channel. In the second step, we match the channels to the user groups to maximize the utility.

A. User Grouping

In the first step of our algorithm, we divide all users into small groups, and each group will be assigned a channel resource in the next step. Before channel assignment, we cannot compute the instantaneous transmission rates because the sets $\Psi_1, \Psi_2, \cdots, \Psi_{N_g}$ have not been determined yet. Therefore, we use a rate estimator
\[
\hat{r}_i = \frac{1}{m} \sum_{\tau=t-m}^{t-1} r_i(\tau)
\]
instead. This rate estimator is essentially the average rate over the most recent $m$ time frames. Plugging (7) into (4) and (5), we obtain the utility estimator of user $i$ as
\[
\hat{U}_i = \sum_{j=1}^{\mu_i} C_{j,i} = \sum_{j=1}^{\mu_i} \min \{1, \lfloor \hat{r}_i/I_p \rfloor \}.
\]

In order to control ICI, we assume that any two users ($i_1$ and $i_2$) reusing the same channel resource have to satisfy the pairwise interference/SINR constraints given by
\[
\begin{align*}
\mathbb{E}\left\{ \frac{P_{i_1} z_{i_1}}{I_p + P_{i_1} z_{i_1}} \right\} &\geq \gamma \mathbb{E}\left\{ \frac{P_{i_1} z_{i_1}}{I_p} \right\}, \\
\mathbb{E}\left\{ \frac{P_{i_2} z_{i_2}}{I_p + P_{i_2} z_{i_2}} \right\} &\geq \gamma \mathbb{E}\left\{ \frac{P_{i_2} z_{i_2}}{I_p} \right\},
\end{align*}
\]
where the parameter $\gamma$ is between 0 and 1. Since the distributions of the fading coefficients are identical in different channels, the expected values of the SINRs and SNRs in (9) do not depend on the channel assignment result. The details of our user grouping algorithm is given in Table I and we denote the number of the output user groups as $N_g$.

At the beginning, we set group $GP_1$ as an empty set. Each time, we select the user with the maximum utility estimator and include it into $GP_k$. After adding a user into a group, we kick out the users that cannot reuse the same channel resource with this selected user by setting $\hat{V}^*(j) = -1$, which can be processed in parallel at the BBU pool. Our grouping algorithm aims to collect the users with high utility estimators together, which helps to serve these users with less channel resources.

Note that the number of groups $N_g$ might be smaller than the number of channels $N_{ch}$. In such cases, some of the channels cannot be assigned to users, and we need to break those groups with large sizes into several small groups so that $N_g = N_{ch}$. To divide a big group into two small groups, we select half of the users with smaller utility estimator values within the large group, and let them form a new small group.

B. Channel Matching

In the second step, we assign channels to the user groups via the maximum-weight matching approach. In this step, we find a matching between user groups and channels that maximizes the system utility given in (6). Let us define $\eta_{i,j}$ as the indicator of the channel assignment result, i.e., $\eta_{i,j} = 1$ if channel $j$ is assigned to $GP_i$, and $\eta_{i,j} = 0$ if channel $j$ is not matched to $GP_i$. Then the matching problem can be formulated as
\[
\begin{align*}
\text{Maximize} & \quad U \\
\text{Subject to} & \quad \eta_{i,j} \in \{0, 1\}, \\
& \quad \sum_{j=1}^{N_{ch}} \eta_{i,j} \leq 1, \\
& \quad \sum_{i=1}^{N_g} \eta_{i,j} = 1.
\end{align*}
\]

In graph theory, the maximum-weight matching problem can be solved by the Hungarian algorithm (Kuhn-Munkres algorithm) [11]. To use the Hungarian algorithm, we have to first construct the utility matrix $U$, in which each row

| TABLE I |
| USER GROUPING ALGORITHM |
| --- |
| **Input:** $\gamma$, transmission power and utility estimator of each user, the fading coefficients. |
| **Output:** User groups $GP_1, GP_2, \cdots, GP_{N_g}$. |
| Collect the utility estimators $U_i$ into a vector $V = [U_1, U_2, \cdots, U_{N_u}]$. |
| **While** $\max(V) \geq 0$ |
| **Set** $V^* = V$ and $GP_k = \emptyset$ |
| **While** $\max(V^*) \geq 0$ |
| **Set** $i = \arg \max(V^*)$ |
| **Add** user $i$ into $GP_k$. |
| **Set** $V(i) = -1$ and $V^*(i) = -1$. |
| **For** $j$ from 1 to $N_u$ |
| **Set** $V^*(j) = -1$ if user $i$ and $j$ cannot satisfy the interference constraints given in (9) or they are associated to the same RRH. |
| **End** |
| **End** |
| $k = k + 1$ |
| **End** |
corresponds to a user group and each column corresponds to a channel. The element of this matrix $U_{i,j}$ is the sum utility of the users in $GP_i$ if the $j$\textsuperscript{th} channel is assigned to that group. The elements of the utility matrix can be computed in parallel at the BBU pool. After constructing the utility matrix, the Hungarian algorithm is applied, and channels are assigned to the users.

C. Summary and Complexity Analysis

In summary, we propose a two-step scheduling algorithm with good delay performance for a multi-cell C-RAN model. In the first step, we group the users to control the ICI and aim to collect the users with high utility estimator values into smaller number of groups. In the second step, we formulate the channel allocation problem as a maximum-weight matching problem, and assign the channel resources to the user groups using the Hungarian algorithm. Although our algorithm only considers an uplink scenario, it can also be easily adapted to a downlink scenario.

Since we consider a C-RAN model, our algorithm is performed considering users in multiple cells, and parallel processing can be performed in some parts of our algorithm at the BBU pool to reduce time consumption. Compared with conventional resource allocation algorithms, in which cooperative processing among multiple cells is not considered, our algorithm has a significant potential to achieve better performance.

Assume that the number of processors at BBU pool is $\Theta(N_c)$, then the time complexity of the user grouping step is $O(N_u^2/N_c)$. In the matching step, the time consumption for constructing the utility matrix is $O(N_g N_{ch} / N_c)$, and the time consumption of the Hungarian algorithm is $O(\max\{N_g, N_{ch}\})^3)$. To further accelerate this process, we can replace the Hungarian algorithm with some heuristic algorithms with time complexity of $O(\min\{N_g, N_{ch}\})$. As an example, in each iteration, we can select the maximum element in the utility matrix, and match its corresponding group and channel together. The overall time consumption of this algorithm depends on the relationship among $N_u$, $N_c$, $N_g$ and $N_{ch}$.

**IV. Numerical Results**

In this section, we further study the performance of our algorithm and the influence of parameters via simulations. In our simulations, we consider a C-RAN with 3 adjacent cells, each with a radius of 2. The coordinates of the RRHs of these three cells are $(-2, 0)$, $(0, 2)$ and $(2, 0)$, respectively. In each cell, there are 5 randomly placed users, and each one has the maximum transmission power $P_{max} = 13$ dB. The number of available channels is $N_{ch} = 5$. We assume Rayleigh fading with path loss $E\{z\} = s^{-4}$, where $s$ represents the distance between the transmitter and the receiver. Each point on the curves is determined by taking the average over the results of 500 systems with randomly placed users, and the performance result of each system is evaluated over $5 \times 10^4$ time frames.

In Figs. 2 and 3, we study the influence of the interference control parameter $\gamma$, which is used in the pairwise interference constraints expressed in (9). The arrival rate at user $i$ is set as $\lambda_i = \rho E\{TB \log_2(1 + P_i z_i / B \sigma^2)\}$, where the parameter $\rho$ is the arrival intensity. The target delay is 25 time frames for all users, and all users transmit at their maximum power level. When $\gamma$ is small, the ICI is not well controlled and the average transmission rate is not maximized. As $\gamma$ increases, the system achieves lower delay violation probability and higher throughput due to better ICI management. However, when $\gamma$ is too large, the interference constraints become too strict, which leads to less frequency reuse. In such cases, the throughput becomes smaller and the delay violation probability increases.

In Figs. 4 and 5, we analyze the influence of power control on our algorithm. In several conventional ICI control algorithms such as SFR, cell center users transmit with small power to reduce the interference they cause to the cell edge users. We adopt this strategy and apply it in our algorithm. In these two figures, the transmission power of user $i$ is selected as $P_i = P_{max}(s_i / R_{cell})^\alpha$, where $s_i$ is the distance between the user and its corresponding RRH, and $R_{cell}$ is the radius of the cell. As $\alpha$ increases, cell center users are restricted to transmit with smaller power. Also, all arrival rates are set as $\lambda = 1.5 E\{TB \log_2(1 + P_{max} z_{edge} / B \sigma^2)\}$, where $E\{TB \log_2(1 + P_{max} z_{edge} / B \sigma^2)\}$ is the average transmission rate of a user at the edge of its associated cell. In Figs. 4 and 5, we notice that as $\alpha$ increases, both delay and throughput performances become worse. Our algorithm control the inter-
the users in that cell. The results are provided in Table III. As the arrival intensity increases, the advantage of our algorithm becomes obvious in terms of the average delay. With the C-RAN architecture, cooperative processing over multiple cells enhances the delay performance significantly.

V. CONCLUSION

In this work, we have proposed an ICI-aware scheduling algorithm for the C-RAN architecture that minimizes the sum delay cost of the system. The procedure is divided into two steps, namely the user grouping step and the channel matching step. In the user grouping step, we have designed a grouping algorithm that partitions all users in the network into small groups by checking their pairwise interference levels. In order to serve those users with high utility values with less channel resources, our grouping algorithm aims to collect users with high utility estimator values into small number of groups. In the channel matching step, we have formulated the channel assignment problem as a maximum-weight matching problem, which can be solved using the Hungarian algorithm. In the second step, user groups are matched to the available channel resources with goal of maximizing the system utility. Finally, we have studied the impact of the interference threshold and power control parameter via simulations, and compared our algorithm to the conventional SFR scheme. With the advantages of cooperative processing and information sharing over multiple cells, it has been verified that our algorithm designed for C-RAN can achieve higher throughput and lower delay.

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