A Monster CME Obscuring a Demon Star Flare

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Abstract

We explore the scenario of a coronal mass ejection (CME) being the cause of the observed continuous X-ray absorption of the 1997 August 30 superflare on the eclipsing binary Algol (the Demon Star). The temporal decay of the absorption is consistent with absorption by a CME undergoing self-similar evolution with uniform expansion velocity. We investigate the kinematic and energetic properties of the CME using the ice cream cone model for its three-dimensional structure in combination with the observed profile of the hydrogen column density decline with time. Different physically justified length scales were used that allowed us to estimate lower and upper limits of the possible CME characteristics. Further consideration of the maximum available magnetic energy in starspots leads us to quantify its mass as likely lying in the range \(10^{31} - 10^{32}\) g and kinetic energy in the range \(7 \times 10^{35} - 3 \times 10^{38}\) erg. The results are in reasonable agreement with extrapolated relations between flare X-ray fluence and CME mass and kinetic energy derived for solar CMEs.

Key words: binaries: eclipsing – stars: activity – stars: flare – stars: late-type – Sun: coronal mass ejections (CMEs) – X-rays: stars

1. Introduction

Since the first space-based coronagraphic observations of solar coronal mass ejections (CMEs) in the 1970s (Tousey et al. 1973), the study of CME properties has been pursued with some vigor due to their implications for space weather and potential impact on terrestrial life (Kahler 2001; Zhang et al. 2007; Webb et al. 2009; Yashiro & Gopalswamy 2009; Cané et al. 2010; Pourlidas et al. 2011; Cliver & Dietrich 2013; Reames 2013; Gopalswamy 2016). The growing realization that exoplanets are extremely common in the universe and that their host star CMEs might influence their atmospheric evolution (e.g., Khodachenko et al. 2007a, 2007b) has raised the question of the nature of CMEs on other stars (e.g., Kay et al. 2016). CMEs on the Sun are associated with flares, and it has also been pointed out that the winds of magnetically active stars with much more vigorous flare activity than the Sun could be dominated by CMEs, with potentially important implications regarding the large amount of energy that might be involved (Drake et al. 2013).

Unfortunately, current instrumentation technology does not yet allow for direct observations of stellar CMEs. In order to attempt to study them we need to develop indirect methods and techniques. One such technique that offers perhaps more promise for large stellar CMEs than solar ones is the absorption of the underlying corona by CME material. While absorption is seen in CME filaments on the Sun (e.g., Subramanian & Dere 2001; Kundu et al. 2004; Jiang et al. 2006; Venareddy et al. 2012), there is generally too little material present in the CME itself to cause large-scale absorption. If CMEs associated with the much more energetic flares seen on stars are commensurately more massive, as solar flare–CME relations indicate might be the case (e.g., Yashiro & Gopalswamy 2009; Drake et al. 2013), then CME absorption signatures could be a feasible means for their detection. Indeed, several examples of transient increases in X-ray absorption or obscuration in stellar observations have been identified as potentially having been caused by CMEs or prominences (Haisch et al. 1983; Ottmann & Schmitt 1996; Tsuoi et al. 1998; Franciosini et al. 2001; Pandey & Singh 2012).

One of the most energetic X-ray flares ever observed on a star was the 1997 August 30 event on the bright and nearby (28.5 pc) prototypical eclipsing binary system, Algol (also known as the Demon Star due to its association with the mythological monster Medusa). The flare was observed by BeppoSAX and an analysis by Favata & Schmitt (1999) found the total X-ray fluence in the 0.1–10 keV band to be \(1.4 \times 10^{37}\) erg, or approximately \(1 \times 10^{37}\) erg in the 1–8 Å GOES band. To place this in the context of solar flares, the largest X-ray fluence in the compilation of flares associated with CMEs by Yashiro & Gopalswamy (2009) is \(6.5 \times 10^{30}\) erg, while the great Carrington Event of 1859 has been estimated to have had a soft X-ray fluence of \(1.8 \times 10^{31}\) erg and a total radiated energy of \(5 \times 10^{32}\) erg (Cliver & Dietrich 2013). The 1997 August 30 Algol flare was, staggeringly, about 10,000 times more energetic than this. The flare was eclipsed by the primary star, enabling Schmitt & Favata (1999) to estimate both its location and size.

One other feature of the flare was a large increase in absorption at the flare onset that gradually decayed back to the interstellar medium value. Favata & Schmitt (1999) suggested a CME as the source of the absorption. In fact, this event arguably presents the best characterized observational evidence of a CME on a star other than the Sun and a valuable opportunity to explore stellar CME properties. Here, we seek to exploit this opportunity and investigate the CME scenario using the parameterized geometrical “ice cream cone” model developed to analyze solar CMEs by Howard et al. (1982) and later by Xie et al. (2004).

We first reprise the details of the 1997 August 30 event in Section 2, and then describe briefly in Section 3 the ice cream cone model that we use in Section 4 to analyze the data. Using the observed flare and inferred CME characteristics we then explore the mass and kinetic energy implications in the context of solar and stellar flares and CMEs in Section 5.
The 2. The 1997 August 30 Algol Flare

Algol is the prototype of Algol-type binaries—short-period, eclipsing systems comprising an early-type primary and a late-type main-sequence or subgiant secondary. These systems have generally undergone a period of mass transfer during which material from the initially more massive present-day late-type star has been accreted by its initially less massive present-day early-type companion. Algol itself is a B8 V star has been accreted by its initially less massive present-day primary with a K2 IV secondary that has lost about half of its original mass to the present-day primary (Drake 2003). The stellar parameters are $R_A = 2.90 R_\odot, M_A = 3.7 M_\odot, R_B = 3.5 R_\odot$, and $M_B = 0.81 M_\odot$, with an orbital period of 2.87 days and inclination $i = 81.2^\circ$ (Richards 1993). The orbital separation is 14.14 $R_\odot$. A fainter tertiary component with late A or early F spectral type is also present in a much wider 1.86-year orbit (Bachmann & Hershey 1975).

Tidal spin–orbit coupling tends to lock the rotation period of Algol components to that of the orbit, such that both stars of the binary are rapid rotators. The rapid rotation excites magnetic dynamo action in the convection zone of the late-type star that is manifest in the form of chromospheric and coronal emission (e.g., Drake et al. 1989; Singh et al. 1995). Radio and X-ray activity levels of Algol systems are, not surprisingly, quite similar to but often slightly lower than those of the short period late-type RS CVn-type binaries (Singh et al. 1996; Sama et al. 1998). The B8 V component of Algol was confirmed as being essentially X-ray-dark through Doppler analysis of high-resolution Chandra X-ray spectra by Chung et al. (2004), such that all the observed X-ray emission is from the K2 subgiant. The brightness of Algol at X-ray wavelengths has rendered it a popular target for X-ray satellites (see, e.g., the summaries of Favata & Schmitt 1999), Chung et al. (2004), and references therein).

BeppoSAX (Boella et al. 1997) observed Algol over a period of about 240 ks, covering almost a full orbit starting on 1997 August 30 03:04 UT (see Favata & Schmitt 1999, for further details). During the observation an enormous flare was observed whose decay had not fully reached quiescent levels by the end of the exposure. Detailed parameter estimation using optically thin collision-dominated radiative loss models was performed by Favata & Schmitt (1999), who derived time-dependent plasma properties throughout the observation, including plasma metallicity, emission measure, temperature, and intervening absorption. The temporal variations of the last three quantities for the flare duration are reproduced in Figure 1. Of special note here is the large increase in absorption coinciding with flare onset. Both the absorbing hydrogen column density and the temperature decrease monotonically with time, while the emission measure starts from background values, to reach a peak at 50 ks and return close to background values after 200 ks from the beginning of the measurements.

Crucially, the flare was totally eclipsed by the primary star, which enabled Schmitt & Favata (1999) to determine that the plasma was confined to Algol B. By modeling the light curve, they concluded the flare occurred near the south pole, reached a maximum height of 0.6 stellar radii, and that continuous heating would have been required, similar to two ribbon flares on the Sun, except involving orders of magnitude more energy. Sanz-Forcada et al. (2007) found that the location interpretation of Schmitt & Favata (1999) was not necessarily unique, although this is not important for the purposes of our analysis.

While solar flares are rarely observed in polar regions (Joshi et al. 2010), rapidly rotating stars are observed to have large polar spots (Schuessler & Solanki 1992; Strassmeier 2009), which could be the origin of the observed superflare.

Favata & Schmitt (1999) determined the flare onset to be at the start of their interval 2, or at $t = 26.3$ ks, in which the flaring site was already obscured by absorption. In our subsequent analysis, we adopt the hydrogen absorption as a function of time derived by Favata & Schmitt (1999) in order to examine the likely parameters of the CME that could be responsible.

3. The Ice Cream Cone CME Model

First introduced by Howard et al. (1982), the ice cream cone CME model is a geometric model, the parameters of which can readily be determined through coronagraph observations. It was the first use of a 3D bubble-like topology, instead of the 2D loop-like models used previously. Later on, Zhao et al. (2002) fully established the cone model for halo CMEs, making three concrete assumptions: (a) the CME source location is at the center of the solar disk close to the associated active region (AR) surface area; (b) it has a radial bulk velocity; and (c) constant angular width throughout its propagation.

Xie et al. (2004) further improved the cone model by providing analytic relations to derive the actual orientation, angular width and speed of halo CMEs from geometric arguments based on coronagraph observations, also assuming isotropic expansion of the CME. They noted that CME speeds vary greatly from 100 up to 2500 km s$^{-1}$, with the slower ones at heliocentric distances of a few solar radii appearing to accelerate and then keep a constant speed, while the faster ones appear to decelerate.
Fisher & Munro (1984) formalized the three-dimensional structure of a CME under the cone model approach into two shells, a truncated conical and a hemispherical one. The volumes and surface areas of each shell are given by

\[ V_{\text{cone}} = \frac{d}{3} \pi (b'^2 - b^2) - \frac{h}{3} \pi (z'^2 - z^2), \]

\[ V_{\text{hemi}} = \frac{4}{3} (b'^3 - b^3), \]

where \( d \) is the height of the cone, so that \( h = R_{\text{Algol,B}} \cos(\omega + \phi) \). We make the additional assumption that the ice cream part of the CME is hemispherical, as illustrated in Figure 2, rather than the more general ellipsoid considered by Fisher & Munro (1984); in their nomenclature we take \( \alpha = b' \) and \( \alpha' = b \). Solar observations suggest that in a plethora of cases CMEs tend to preserve their global configuration during their evolution and theoretical models have been built based on a self-similar approximation (e.g., Low & Hundhausen 1987; Gibson & Low 1998).

Applying the cone model from the stellar center outward, we find that the total distance from the stellar center to the CME front is given by \( d(t) + b'(t) = S(t) + R_{\text{Algol,B}} \) and thus the cone height from the stellar center can be obtained by

\[ d(t) = (S(t) + R_{\text{Algol,B}})/(\tan(\omega + \phi) + 1). \]

Note that the ratio of \( d \) to \( b' \) is fixed by the opening angle of the cone. If the opening angle of the cone is \( 2\omega \), then the outer and inner radii of the ice cream part of the model are \( b' = \tan(\omega + \phi)d \) and \( b = \tan(\omega)d \), respectively, while the cone radii at the stellar surface height are \( z' = \tan(\omega + \phi)h, z = \tan(\omega)h \) for the outer and inner parts of the shell, respectively, through simple trigonometric arguments (Figure 2). We can then calculate the hemispherical radius \( b' \) for the ice cream part, once we assume a conical opening angle.

The opening angle \( \phi \) of each leg of the CME can be calculated through geometric arguments as \( \phi = \tan^{-1}(b'/d) - \omega \). Lepping et al. (1990) conclude that magnetic clouds have thicknesses of about 0.2–0.4 au. Mulligan & Russell (2001) fit the parameters of two previously observed CMEs using a flux rope model. Using Mulligan & Russell (2001) values for the CME cone opening and the Lepping et al. (1990) for the CME thickness, we constraint \( \phi \) between \([2^\circ, 16^\circ]\).

4. Analysis

4.1. CME Propagation Direction

It is likely that the CME was ejected in the south hemisphere of Algol B, probably close to the flaring site that was inferred to be near the South Pole by Schmitt & Favata (1999). Sanz-Forcada et al. (2007) argued that other flare locations are possible, though the particulars are not important for our analysis and for the purposes of clarity we assume hereafter the configuration deduced by Schmitt & Favata (1999). According to solar CME data compiled by Yashiro et al. (2008) and Aarnio et al. (2011), the separation angle between CMEs and associated flares is \( 0^\circ \pm 45^\circ \), which means that our CME could be ejected directly out of the south pole or with its propagation axis forming an angle of up to \( 45^\circ \) with respect to that of the flare, as demonstrated in Figure 3.

In general, the line of sight can go through the CME mass in three different main directions: (a) looking through the ice cream and one side of the cone shell; (b) looking through one side of the cone shell and the edge of the cone and ice cream; or (c) looking through both sides of the cone shell volume. Each case will imply a different path length for the integral of the column density, as will be discussed in Section 4.3.

4.2. CME Speed

The CME will propagate and expand outward in one of the possible directions discussed in Section 4.1. The general propagation profile for a CME is an initial acceleration phase followed by a cruising phase at quasi-constant velocity. While fast CMEs (e.g., \( V > 1000 \text{ km s}^{-1} \)) can show deceleration in the LASCO field of view (2.5–30R_\odot) due to the interaction with the solar wind (e.g., Manoharan 2006), we shall see below that the hydrogen column density evolution indicates a constant velocity cruising phase such that the CME is not “fast” and subject to significant deceleration within the Algol B wind. In this case, the plasma travels a distance \( S \) with time \( t \) equal to

\[ S_1(t) = \frac{\alpha t^2}{2}, \]

\[ S_2(t) = u_{\text{max}}(t - \tau), \]
so that the total distance covered by the CME in time $t$ is

$$S_{\text{tot}}(t) = \begin{cases} S_i(t), & \text{if } t \leq t_i, \\ S_i(t) + S_2(t), & \text{if } t > t_i, \end{cases} \quad (5)$$

Here, $\alpha$ is the acceleration and $u_{\text{max}}$ is the terminal velocity of the CME.

The column density within the CME shell is a measure of the number of absorbers per unit sphere area in our line of sight. For an initial examination of the data, if we assume that the CME is a piece of a spherical shell and that the number of absorbers on the sphere with radius $r(t) = S(t)$ is $N_i(t_0)$ at an initial moment $t_0$, then due to conservation of mass and extending this to the number of absorbers, we have

$$N_H(t) = \frac{N_i}{4\pi r^2(t)}, \quad (6)$$

which means that the hydrogen column density scales with the inverse square power of radius $N_H(t) \propto r^{-2}$. The column density of a CME of an arbitrary shape that expands self-similarly would have the same radial dependence, as the CME shell thickness would be of size $r$, with a number density density decreasing as $r^{-3}$ and the line of sight shell thickness being of size $r$, which would lead to a column density $\propto r^{-2}$. In other words, the CME expands outward while interacting with the surrounding stellar wind in a spherical diverging geometry. We can extract information regarding the CME kinematic properties (distance, velocity, acceleration) from the column density evolution with time.

The total column density observed consists of the column density of the CME in addition to the column density of the interstellar medium, so that the observed column density is

$$N_{H,\text{tot}}(t) = N_H(t) + N_f. \quad (7)$$

From Equations (3) and (6), and by fitting the column density temporal variation, $N_{H,\text{tot}}(t)$, to a power law, we can characterize the type of motion that the CME is performing, i.e., if there is any acceleration or deceleration taking place. Figure 4 shows the observed column density temporal profile together with associated errors from Favata & Schmitt (1999), overplotted with a least squares fit of a power law plus a constant and the 95% confidence interval obtained using the Python based Kapteyn package (Terlouw & Vogelaar 2015). In units of $10^{20}\text{cm}^{-2}$ the fitting gives

$$N_H(t) = (1000 \pm 200) \times 10^{20}\text{cm}^{-2} + (0.8 \pm 0.1),$$

such that $N_f = (0.8 \pm 0.1) \times 10^{20}\text{cm}^{-2}$. The interstellar absorption is in good agreement with the value $(0.9 \pm 0.4) \times 10^{20}\text{cm}^{-2}$ obtained by Favata & Schmitt (1999) by modeling the pre-flare and secondary eclipse data. There is, then, a decay of the local hydrogen column density with time $N_H \propto t^{-2}$, albeit with some uncertainty, which suggests that the acceleration phase of the CME has stopped and it has entered the propagation phase, i.e., it travels with approximately constant speed. This conclusion should be valid regardless of the exact shape of the CME, provided it expands in a self-similar fashion. While the CME scenario is not the only possible explanation for the additional absorption of the flare, the agreement of its temporal decline with simple expansion at constant velocity adds considerable weight to this interpretation.

Assuming we are observing the quasi-constant velocity phase of the CME, and based on the best-fit parameters to the $N_H$ decay profile, we can estimate the CME velocity given a length scale for a particular time. Favata & Schmitt (1999) found the $N_H$ increase to coincide with the flare rise, such that the CME covered the flare beginning at time $t = 26.3$. A natural choice for the CME length scale at this time is then one that obscures the flaring region at the initial stages of the eruption. Favata & Schmitt (1999) have estimated that the magnetic loop associated with the flare should have a length of about $10^{11}\text{cm}$, which is about $S(t_1) = 2 R_*$. This actually represents the lower limit to the size of the CME at this time. We will, in addition to that, investigate a dynamic length scale,
as estimated by models and observations that have studied the force balance mechanism that drives CMEs in the solar regime (Vršnak et al. 2004; Žic et al. 2015). After an acceleration phase close to the Sun due to driving by Lorentz forces, the so-called aerodynamic drag force (Cargill 2004) starts to dominate at a few solar radii, as demonstrated in Žic et al. (2015). Inspired by Žic et al. (2015), who found a dynamic length scale for the acceleration phase of solar CMEs of $S_{t}(t_{1}) \sim 15 R_{\odot}$, we adopt a dynamical length scale for the Algol CME of $S_{t}(t_{1}) = 15 R_{\text{Algol,B}}$.

From Equation (7) and the fit corresponding to Figure 4, we estimate the decaying time for the absorption, i.e., the time the observed column density $N_{H}$ takes to reach one quarter of its initial peak value $N_{H}(\tau_{/4}) = N_{H}(t_{1})/4$, at $\tau_{/4} = 5.6$ ks having traveled for one length scale with constant speed $u_{\text{max}}$, where $N_{H}(t_{1})$ is the column density of the first observational point in Figure 4. Then, we calculate the speed of the CME using the decay time and (a) the flare and (b) the dynamic length scales, as they were determined above, getting $2.5 \times 10^{7}$ cm s$^{-1}$ and $6.6 \times 10^{8}$ cm s$^{-1}$, respectively, since

$$N_{H} \approx \frac{N_{0}}{4\pi S_{t}^{2} N_{H}(t_{1})},$$

with $N_{0} = 4\pi S_{t}^{2} N_{H}(t_{1})$. The speeds differ by a factor of 26, similar to the length scale differences, and bracket almost the entire velocity range observed in solar CMEs (e.g., Yashiro et al. 2004).

### 4.3. CME Mass and Kinetic Energy

Now, by assuming a geometric model for the mass distribution of the CME in three-dimensional space, we can estimate the CME mass and kinetic energy. Here, we apply the ice cream cone model from Section 3 (Howard et al. 1982; Fisher & Munro 1984; Zhao et al. 2002; Xie et al. 2004), applied extensively to solar events to further investigate the CME scenario for the Algol flare.

We have, for the column density, neglecting the non-uniform thickness of the cone segment,

$$N_{H}(t) = \int_{V_{\text{cone}}} \frac{N_{0}}{V_{\text{cone}} + V_{\text{hemi}}} dS,$$

where $dS$ is the path length through the gas within the ice cream cone. We do not know if the flare is observed inside the CME volume, or if it was behind the CME. Since the opening angle of solar CMEs is strongly correlated with CME energy and reaches 180° for the main CME body (e.g., Kahler et al. 1989; Yashiro & Gopalswamy 2009; Aarnio et al. 2011), the former scenario is more likely. The difference is a factor of order 2 in the resulting column density, which we neglect here.

The mass of the CME can thus be calculated from

$$M = \frac{V_{\text{cone}} + V_{\text{hemi}}}{b' - b} N_{H} \mu,$$

where $\mu = 1.36m_{p}$ is the mass per proton for gas of solar composition ($X = 0.738, Y = 0.249, Z = 0.013$), and $m_{p}$ is the proton mass. For a solar composition plasma, the dominant contribution to the soft X-ray absorption cross section is from inner-shell ionization of the abundant elements O, C, N, and Ne. Our mass estimate then assumes that the absorbing material is not highly ionized. This is consistent with observations of solar CME material (e.g., Webb & Howard 2012) and with our estimates of the mass, which we note in Section 5.4 below is inconsistent with having been derived from highly ionized coronal plasma.

As noted previously, the total column density is the sum of the interstellar medium value and the CME one. For the former we will use the value obtained by the fit illustrated in Figure 4 (Equation (7)). Then, combining with Equations (1), (2), and (9) for the volume of the CME, we can calculate the CME mass for both length scales, i.e., flare and dynamic. In order to explore the parameter space, we examine a set of six $(\omega + \phi)$ angles from $15^\circ$ to $90^\circ$ in $15^\circ$ steps. Fixing the CME thickness at a distance of 1 au to $\sim 0.2$ au to match solar observations, as discussed in Section 3, we can determine the thickness of the CME at each length scale considered, since the model assumes a self-similar expansion, which will in turn define the angle $\phi$. In this way, a thickness of 0.4 $R_{\odot}$ and $3R_{\text{Algol,B}}$ were determined for the flare and dynamic length scales, respectively. The results for both mass and kinetic energy for the CME are shown in Table 1.

Both the inferred CME mass and energy vary by an order of magnitude according to the opening angle assumed. Larger opening angles imply larger CMEs and thus larger mass and energy values. However, the biggest influence on the inferred CME parameters is the assumed scale length, which, for the values we have assumed, lead to mass and energy differences of two and five orders of magnitude, respectively. We will return to this in Section 5 below.

### 5. Discussion

The parameters derived for the Algol CME scenario are quite extreme in the context of solar eruptive events, which is not surprising considering the enormous flare energy involved. While there are large uncertainties in the derived mass and energy, the results still provide valuable insights into the properties of such events on the most active stars. We examine some of the implications below.

#### 5.1. Comparison with Solar CMEs

Since our derived CME properties have a significant dependence on the opening angle assumed, it is worthwhile to assess what the likely value of this parameter would be for such an event.

Michalek et al. (2003) performed a statistical analysis of CME parameters using the cone model for all the halo CMEs detected with SOHO/LASCO from the end of 1999 June until
In order to examine the kinematic properties of a CME it is also critical to account for the forces that drive its motion. The forces acting on a CME are (a) the Lorentz force, (b) the gravitational attraction of the star, and (c) the drag force due to the interaction with the stellar wind (Cargill 2004). In the solar case, the Lorentz force dominates in the region close to the Sun and leads to the CME acceleration, whereas the drag force has the effect of converging the CME speed that has been gained out of the initial acceleration phase to the solar wind speed. So depending on whether or when the CME is fast ($u \sim 10^7$ cm s$^{-1}$) or slow ($u \sim 10^5$ cm s$^{-1}$) the drag force will cause a gradual deceleration or acceleration, respectively (Cargill 2004).

Vršnak et al. (2004) analyzed the motion of 5000 CMEs from 2 to 30 $R_\odot$, finding an anticorrelation between CME acceleration and velocity. They concluded that there is a percentage ($\sim$14%) of fast CMEs that accelerate and an even smaller percentage of slow CMEs ($\sim$7%) that slightly decelerate outward. Their interpretation was that the Lorentz force was responsible for those deviations, i.e., the Lorentz force might be non-negligible at larger distances and it can have the opposite sign than initially thought, pulling the CME back toward the Sun. An alternative explanation was offered by Ruždjak et al. (2005), who suggested that the deviation might be the result of the drag force, due to interaction of the CME with the fast wind.

The hydrogen column density decay rate suggests that we are already in the propagation phase of the CME, thus the acceleration took place before $t = 31.5$ ks. This is consistent with the main CME acceleration seen in the solar case (e.g., Cargill 2004; Vršnak et al. 2004), and indicates that acceleration has taken place close to the star shortly after the eruption. The uncertainty in the power-law decay of $N_H$ with time unfortunately precludes any investigation of subsequent more minor acceleration or deceleration.

According to Moon et al. (2002), and backed up by later analysis (e.g., Yashiro & Gopalswamy 2009), CMEs associated with stronger flares are faster, with a CME–flare association rate that increases with the CME speed. If the same trends that are true for the Sun are also valid here and since we are examining a superflare, not only is there almost certainly an associated CME eruption, but also we expect a high CME speed. There have been several statistical studies associating CME and flare characteristics in the solar regime (e.g., Moon et al. 2002; Yashiro & Gopalswamy 2009; Salas-Matamoros & Klein 2015). An empirical relation was reached in Salas-Matamoros & Klein

The end of solar cycle 23 is associated with a high association rate with superflares (e.g., Melott & Thomas 2012; Gopalswamy et al. 2014b) and a very high CME speed (e.g., Cliver & Dietrich 2013), suggesting a high acceleration rate. For the 1859 Carrington event, based on the recent analysis of Cliver & Dietrich (2013) and the purported 775 AD event proposed by Melott & Thomas (2012) and further analyzed (and questioned) by Cliver et al. (2014).

Drake et al. (2013) obtained best-fit power-law relations between CME mass and kinetic energy and associated flare X-ray fluence. The indication is that the CME mass is somewhat higher and the kinetic energy is perhaps lower than the solar extrapolation. Considering the scatter of the solar results and the fairly large Algol CME uncertainties, the results do lie in the extension of the solar CME trends. This result is important because it is an indication that the relation between total fluence and CME mass and kinetic energy in the solar case could be extended to more active stars.

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(2015) that associates the CME speed \( v_{\text{CME}} \) and the associated flare X-ray fluence, \( F_X \).

\[
\log(v_{\text{CME}}) = (0.22 \pm 0.05)\log(F_X) + (3.21 \pm 0.10). \tag{10}
\]

For the Algol superflare, \( F_X = 3.6 \times 10^6 \text{ Jm}^{-2} \). If the CME investigated in this paper was a solar CME, then the corresponding velocity from Equation (10) would be of the order of \( v_{\text{CME}} = 4.5 \times 10^9 \text{ cm s}^{-1} \), or more than an order of magnitude larger than the largest velocities observed in solar CMEs.

A firm lower limit on the CME velocity is that corresponding to the flare size length scale derived in Section 4.2, \( v_{\text{CME}} \geq 2.5 \times 10^7 \text{ cm s}^{-1} \). An upper limit is difficult to determine since we have no firm constraint on the maximum size of the CME during the observations, but the speed derived assuming the dynamic length scale, \( v_{\text{CME}} \approx 6.6 \times 10^8 \text{ cm s}^{-1} \), is still an order of magnitude less than that from the extrapolation of the solar observation. The implied length scale for the solar speed extrapolation is similarly larger, and implies commensurately larger mass and kinetic energy. For \( v_{\text{CME}} = 4.5 \times 10^9 \text{ cm s}^{-1} \), the implied length scale is \( S_1 \sim 105R_{\text{Algol,B}} = 7S_{\text{dyn}} \), and the mass and kinetic energy are \( M = 1.0 \times 10^{23} \text{ g} \) and \( E = 1.1 \times 10^{44} \text{ erg} \), respectively, for an opening angle of 75°. As we discuss below, such high mass and energy requirements seem unlikely to be fulfilled and the indication is that the solar CME speed extrapolation does not work for the most energetic CMEs on active stars.

5.3. Stored Magnetic Energy and Size of Starspots

The energy of a CME must ultimately derive from the magnetic energy stored in the corona. The question then is whether or not our estimate for the kinetic energy of the Algol event is reasonable on that basis.

Schrijver et al. (2012) used different historical indicators of geointensity to estimate the frequency of the most energetic flares on the Sun and in combination with providing sunspot size relations for the associated ARs, they identified an upper limit of approximately \( 10^{38} \text{ erg} \) for solar flare energies. Extending their conclusions to more active stars, and considering Kepler white light flare observations and X-ray observations of the most energetic flares, they estimated a rough limit of about \( 10^{37} \text{ erg} \) for Sun-like (G,K-type) stars on the main sequence. Later, using a dimensionless 3D magnetohydrodynamic simulation of solar eruptive events, Aulanier et al. (2013) estimated a similar maximum energy that a solar flare can release as \( \sim 6 \times 10^{33} \text{ erg} \), i.e., six times larger than the most energetic event of 2003 November 4 that was ever directly recorded (Schrijver et al. 2012) and within the range of stellar superflare energies (Maehara et al. 2012).

Surface magnetic fields on the most active late-type stars are known to reach and exceed kG strengths (e.g., Donati & Landstreet 2009). Based on the radiated X-ray energy and confinement requirements of the giant Algol flare, Schmitt & Favata (1999) deduced that magnetic fields of at least 500 G–1000 G must be present in the corona of Algol B at heights of up to half a stellar radius, extending over a volume of at least \( 10^{33} \text{ cm}^3 \). If kG fields pervaded the whole coronal volume of Algol B to a height of 0.5\( R_{\text{Algol,B}} \), the total magnetic energy would be of the order of \( 3 \times 10^{39} \text{ erg} \)—one order of magnitude lower than the kinetic energy requirements for the dynamical length scale case of several \( 5 \times 10^{40} \text{ erg} \). The energy requirement then becomes uncomfortable given that a limited fraction of the magnetic energy would be available for CME acceleration. The energy budget then points to a likely CME kinetic energy smaller than \( 10^{39} \text{ erg} \). Within the range of CME mass we have derived, we consider the energy requirements of a CME speed exceeding \( 10^9 \text{ km s}^{-1} \) entertained above in Section 5.2 as unrealistically high for this particular CME.

A more likely CME energy can be estimated considering the sizes of starspots and local magnetic field strengths on active stars. Strassmeier (2009) discusses the starspot sizes that lie in the range of 0.1–10% of the stellar surface for late-type (FGKM) stars, as observed with Doppler imaging. Algol-type binaries present particular difficulties for assessing the surface spot and magnetic field distribution of the cooler component because the hotter companion tends to dominate the light output. Algol secondaries should be similar to the components of their cousins, the RS CVn-type binaries, for which Zeeman-Doppler imaging has revealed that local magnetic field strengths in large spots can exceed 1 kG (e.g., Petit et al. 2004; Rosén et al. 2015).

A volume covering 10% of the stellar surface up to a scale height of half the stellar radius amounts to \( 4 \times 10^{33} \text{ cm}^3 \) and the associated energy amounts to \( (2–7) \times 10^{39} \text{ erg} \) if filled with a magnetic field of 1–2 kG. Emslie et al. 2012 studied the most energetic solar eruptive events from 1997 to 2003 and found that about 25% of the stored non-potential magnetic energy in an AR gets transferred to the CME, mainly as kinetic energy. Aulanier et al. (2013) found from a 3D MHD simulation of an eruptive flare from a highly sheared bipole that 19% of the bipole energy is converted into flare energy (although only 5% of this energy was converted to CME kinetic energy). A conversion efficiency of 20% would imply a maximum possible CME energy of \( 10^{38} \) for the Algol event. This crude estimate can be compared with Equation (4) of Aulanier et al. (2013), derived from their simulation,

\[
E = 0.5 \times 10^{32} \left( \frac{B_{\text{max}}}{10^3 \text{ G}} \right)^2 \left( \frac{L_{\text{bipole}}}{50 \text{ Mm}} \right)^3 \text{ erg}, \tag{11}
\]

where \( B_{\text{max}} \) is the maximum possible bipole field, and \( L_{\text{bipole}} \) is the separation. Taking \( B_{\text{max}} \sim 10 \text{ kG} \) and a separation comparable to the stellar radius, \( L_{\text{bipole}} \sim 2000 \text{ Mm} \), \( E \sim 3 \times 10^{38} \text{ erg} \), which we take as a likely limit to the true CME kinetic energy. This value is still an order of magnitude larger than the X-ray fluence, and within the observed scatter of ratios of solar flare and CME kinetic energies. For our CME model, this energy corresponds to a mass of \( M = 2.1 \times 10^{22} \text{ g} \), a length scale of \( S_1 = 3.8R_{\text{Algol,B}} \), and a speed of \( 1.7 \times 10^8 \text{ cm s}^{-1} \), which we adopt as more realistic upper limits to these quantities.

5.4. Mass

The upper end of the mass range inferred for the CME using the dynamic length scale of \( \times 10^{21} \text{ g} \) is perhaps unreasonably large from at least two different perspectives. First, unless events like the 1997 one are extremely rare, the implied mass-loss rate from such CMEs becomes implausibly high, with only one event per year needed over a billion-year timescale to lose up to 10% of the stellar mass. The true frequency of these immense flares is difficult to estimate, but the fact that giant flares of similar energies have been observed on several different stars (see, e.g., Favata 2002) points to them being not
such an uncommon phenomenon. Second, the mass upper limit is much larger than the mass of the Algol corona. Solar CMEs generally eject relatively cool plasma lifted from the chromosphere and lower corona (e.g., Webb & Howard 2012). The volume emission measure of the solar corona varies with the solar cycle, but taking an average value of $n_e^2 V = 10^{50} \text{cm}^{-3}$ and an electron density $n_e = 10^9 \text{cm}^{-3}$ (Laming et al. 1995), the implied mass of the solar corona is about $2 \times 10^{17} \text{g}$, which is slightly larger than the most massive solar CMEs.

The total mass of the corona of Algol B can be estimated from its “quiescent” coronal emission. Favata & Schmitt (1999) found a total quiescent volume emission measure of $n_e^2 V = 3 \times 10^{53} \text{cm}^{-3}$. Based on high-resolution Chandra spectroscopy of Algol and similar active stars, such emission arises from a range of plasma density environments, between $10^{10}$ and several $10^{12} \text{cm}^{-3}$ (e.g., Testa et al. 2004). Assuming that approximately half originates at lower densities, the emitting coronal volume is approximately $10^{53} \text{cm}^3$ and the total mass is about $2 \times 10^{19} \text{g}$. The CME material in the 1997 event must then originate from cooler, lower-lying plasma, which is not inconsistent with solar observations.

5.5. Other Evidence for Stellar CMEs

The 1997 Algol event is not the only observational evidence for CMEs on other stars. As noted by Leitzinger et al. (2014), suspected CMEs have been highlighted from similar observations of X-ray absorption associated with large flares and from flare-associated blueshifts of Balmer lines (Houdebine et al. 1990; Guenther & Emerson 1997; Bond et al. 2001; Fuhrmeister & Schmitt 2004; Leitzinger et al. 2011; Vida et al. 2016). While the 1997 Algol event remains by far the best example, the absorption signatures noted by Haisch et al. (1983), Ottmann & Schmitt (1996), Tsuboi et al. (1998), Franciosini et al. (2001), and Pandey & Singh (2012) could potentially be used to estimate useful CME parameters such as has been done here. The parameters of CMEs inferred from blueshifted spectral lines are somewhat more difficult to assess. Velocities estimated from blueshifts contain large uncertainties due to projection effects (e.g., Leitzinger et al. 2011) and often lie in the local plasma flow range, i.e., a few tens to about 100 km s$^{-1}$ (Bond et al. 2001; Fuhrmeister & Schmitt 2004; Leitzinger et al. 2011). This makes them difficult to distinguish from smaller-scale events, such as chromospheric brightenings (Kirk et al. 2017) or chromospheric evaporation (Toriaca et al. 2003). Leitzinger et al. (2014) reached the conclusion that the CME flux or mass is the main parameter that controls the detection efficiency of the Doppler-shift method. Given their importance, further examination of stellar CME candidate parameters would be worthwhile.

6. Conclusions

The 1997 Algol superflare with the associated absorption temporal profile observed by Favata & Schmitt (1999) is arguably the best candidate for a CME detected in another stellar system. While a CME is not the only possible explanation for the absorption, all clues point in that direction and this scenario is reinforced by the absorption decay agreeing very well with an inverse square law decline compatible with a quasi-uniform expansion.

After choosing physically inspired length scales, namely a flare size and a dynamic one, we were able to estimate lower and upper limits for the CME speed, mass and kinetic energy using the ice cream cone model commonly applied to solar CMEs. While our lower limits are firm, the upper limits are characterized by large uncertainties, as they derive from drawing a parallel between a CME acceleration length scale on Algol B and that of solar CMEs. By estimating the maximum stored magnetic energy in a starspot, we are able to place further, more stringent constraints on our upper limits. We find the likely CME mass and kinetic energy to have been in the ranges $2 \times 10^{21} - 2 \times 10^{22} \text{g}$ and $7 \times 10^{35} - 3 \times 10^{38} \text{erg}$, respectively.

The results are in reasonable agreement with relations between CME mass and kinetic energy and the X-ray fluence of the associated flare revealed by statistical studies in the solar regime (Yashiro & Gopalswamy 2009; Drake et al. 2013) when extrapolated to the extreme energies of the Algol event. We find the Algol CME to have a likely mass lying a little higher and kinetic energy a little lower than the extended trends. The general agreement with these trends is an indication that even in much more active stars than the Sun, such as Algol B, similar fundamental processes drive transient phenomena linked to the underlying stellar magnetic fields. If universal, such relations would represent a breakthrough in the ability to infer CME activity on stars that cannot otherwise be easily detected.

The Algol flare and CMEs are extreme phenomena, probably marking the upper limits of stellar activity events. We underline the importance of exploring further the CME–flare relation in other active stars that are expected to populate the region between the solar and the Algol event studied here.

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