Spin injection and detection up to room temperature in Heusler alloy/\textit{n}-GaAs spin valves

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We have measured the spin injection efficiency and spin lifetime in Co\textsubscript{9}FeSi/\textit{n}-GaAs lateral nonlocal spin valves from 20 to 300 K. We observe large (~40 μV) spin valve signals at room temperature and injector currents of 10\textsuperscript{3} A/cm\textsuperscript{2}, facilitated by fabricating spin valve separations smaller than the 1 μm spin diffusion length and applying a forward bias to the detector contact. The spin transport parameters are measured by comparing the injector-detector contact separation dependence of the spin valve signal with a numerical model accounting for spin drift and diffusion. The apparent suppression of the spin injection efficiency at the lowest temperatures reflects a breakdown of the ordinary drift-diffusion model in the regime of large spin accumulation. A theoretical calculation of the D’yakonov-Perel spin lifetime agrees well with the measured \textit{n}-GaAs spin lifetime over the entire temperature range.

I. INTRODUCTION

All-electrical spin transport has been demonstrated in III-V semiconductors\textsuperscript{1–4}, group IV semiconductors\textsuperscript{5}, and in 2D materials such as graphene\textsuperscript{6,7}. One of the most mature systems studied in the field of semiconductor spintronics is the ferromagnet (FM)/\textit{n}-GaAs lateral spin valve (SV) structure\textsuperscript{11,3}. GaAs-based devices have served as a testbed for several seminal semiconductor (SC) spin transport measurements, such as the Hanle effect\textsuperscript{1,8}, the spin Hall and inverse spin Hall effects\textsuperscript{9,11}, and nuclear hyperfine effects\textsuperscript{8,12,14}. The Dresselhaus spin-orbit interaction (SOI)\textsuperscript{15} originating from the non-centrosymmetric lattice of III-V SCs makes them attractive candidates for modulation of spin transport using the SOI\textsuperscript{16}. At the same time, however, the Dresselhaus SOI present in III-V SCs leads to efficient spin relaxation in the diffusive transport regime.

Electron spin relaxation in \textit{n}-GaAs at doping levels near the metal-insulator transition is governed by the D’yakonov-Perel (DP) mechanism\textsuperscript{17,18}. The DP spin relaxation rate in III-V semiconductors has a characteristic $\tau_{s}^{-1} \propto \epsilon^3$ behavior\textsuperscript{17,19}, where $\epsilon$ is the carrier energy. The spin lifetime $\tau_{s}$ is the inverse of the spin relaxation rate. At temperatures for which the carriers are nondegenerate ($\epsilon \sim k_{B}T$), the spin lifetime falls sharply as $\tau_{s} \propto T^{-3}$\textsuperscript{20}. Short spin lifetimes (~10–100 ps) have therefore challenged \textit{n}-GaAs SV room temperature performance\textsuperscript{3}, as the short spin lifetime limits the steady-state spin accumulation.

In this article we demonstrate electrical detection of nonlocal spin accumulation in Heusler alloy FM/\textit{n}-GaAs lateral spin valve devices up to room temperature. Clear nonlocal SV signals are measured by fabricating devices with injector-detector contact separations of less than a spin diffusion length and applying a forward bias voltage to the detector contact. We use the injector-detector contact separation dependence of the SV signal to extract the \textit{n}-GaAs spin lifetime and FM/SC interface spin injection efficiency from 20 K up to room temperature. These data allow for a comprehensive and quantitative evaluation of the temperature-dependent performance of FM/\textit{n}-GaAs lateral SV devices. We find that the spin lifetime in the \textit{n}-GaAs channel is in quantitative agreement with a theoretical calculation of the DP spin lifetime over the entire temperature range. At low temperatures, we achieve a spin accumulation that is a significant fraction of the carrier density in the channel. This is accompanied by an apparent downturn in the injection efficiency which we believe is due to breakdown of the ordinary drift-diffusion model in the regime of large spin-dependent electrochemical potential splitting.

II. METHODS

A. Structure growth and device fabrication

The devices used in this study were fabricated from heterostructures grown by molecular-beam epitaxy (MBE). A 2.5 μm Si-doped ($n = 3 \times 10^{16}$ cm\textsuperscript{-3}) GaAs epilayer was grown following a 500 nm undoped GaAs buffer layer grown on a semi-insulating (001) GaAs substrate. To thin the naturally occurring Schottky depletion layer and provide a tunnel barrier for efficient spin injection\textsuperscript{21,23}, the doping level was increased at the FM/SC interface. A 15 nm transitional doping layer was grown ($n = 3 \times 10^{16}$ cm\textsuperscript{-3} → $n^{+} = 5 \times 10^{18}$ cm\textsuperscript{-3}) on top of the \textit{n}-GaAs epilayer, followed by an 18 nm thick heavily doped ($n^{+} = 5 \times 10^{18}$ cm\textsuperscript{-3})
layer. Following the GaAs MBE growth, the sample was cooled to < 400° C under As$_3$-flux at which point the As$_3$-flux was turned off. This resulted in a highly ordered GaAs(001)c(4x4) As-rich surface reconstruction as confirmed by reflection high-energy electron diffraction (RHEED) and in situ scanning tunneling microscopy (STM). For the 5 nm thick epitaxial Heusler film growth, the samples were transferred to a separate growth chamber while maintaining ultra-high vacuum (UHV). The Heusler film growth was performed at 270° C with co-deposition from individual elemental sources. The Heusler compounds grow with a cube-on-cube orientation with Heusler(001)<110> || GaAs(001)<110> [24, 25]. During Heusler growth RHEED was used to confirm layer-by-layer growth of a single crystal film. Cross-sectional high-angle annular dark field scanning transmission electron microscopy (HAADF-STEM) was performed, and example images of the interfaces are shown in Fig. 1. These images confirm the samples are single crystals with mixed L$_2$ and B2 phases in both Co$_2$MnSi (Fig. 1(a)) and Co$_2$FeSi (Fig. 1(b)) films, and a degree of intermixing at the GaAs/Heusler interface of no more than 4-6 atomic layers. The GaAs(001)/Heusler interface resulted in a uniaxial magnetic anisotropy yielding an easy axis along the GaAs [110] direction [24, 26, 27] for both the Co$_2$FeSi and Co$_2$MnSi films.

The heterostructures were patterned into lateral spin valve devices using a top-down fabrication process. A combination of electron-beam lithography and photolithography was used, with Ar$^+$ ion milling to define the ferromagnetic contacts and wet etching to define the n-GaAs channel. A silicon nitride insulating layer was deposited by plasma-enhanced chemical vapor deposition (PECVD) and patterned by lift-off to electrically isolate the evaporated Ti/Au vias and bonding pads from the substrate and n-GaAs channel sidewalls. A micrograph of a SV device is shown in Fig. 2(a). The channel width in the GaAs [110] direction is 80 μm, the SV contact

FIG. 1. Cross-sectional HAADF-STEM images of (a) the Co$_2$MnSi/GaAs interface and (b) the Co$_2$FeSi/GaAs interface. Images (a) and (b) were taken on the same heterostructures used for the Co$_2$MnSi and Co$_2$FeSi spin valves measurements presented in this paper. A 5 nm scale bar is indicated in the lower left of (a).

FIG. 2. (Color online) (a) Scanning electron micrograph of a lateral SV device, with a schematic diagram of the measurement. The inset is a magnified image of the injector (left contact) and detector (right contact), in the device pictured with an edge-to-edge separation of 250 nm. (b-c) Example BDSV field sweeps for devices with Co$_2$FeSi contacts (b) and Co$_2$MnSi contacts (c). The temperature and bias conditions are indicated on the figure. $\Delta V_{nl}$ is the magnitude of the parallel-antiparallel difference as indicated in (c). At the bias conditions indicated in (b) $V_d = 0.44$ V at 60 K and $V_d = 0.30$ V at 300 K. In (c) $V_d = 0.72$ V at 50 K for the bias conditions indicated. After subtracting $V_d$, the 60 K and 300 K data in (b) are offset for clarity. In (b), the dc NLH measurement is shown at 60 K, for both parallel (red) and antiparallel (blue) magnetization configurations.
length is 50 μm, the injector width is 1 μm, and the detector width is 0.5 μm. The large aspect ratio of the SV contacts along the magnetic easy axis was chosen in order to minimize fringe magnetic fields as well as to define a two-dimensional geometry conducive to modeling (channel width ≫ spin diffusion length). The large-area remote contacts share the same composition as the SV contacts. The remote contacts, however, have no impact on the SV measurement, because they are placed many spin diffusion lengths away from the SV contacts. Multiple SV devices were fabricated on the same chip by wet etching through the 2.5 μm n-GaAs to isolate the devices electrically. SV devices on the same chip were patterned with injector-detector edge-to-edge separations ranging from 250 nm to 5 μm.

B. Charge transport

Standard multiprobe dc transport measurements were performed as a function of temperature to characterize both the n-GaAs channel and the Co$_2$FeSi/n-GaAs interface. A companion Hall bar was fabricated from the same heterostructure used to fabricate the SV devices, and transport measurements were performed from 10-350 K to extract the carrier concentration and mobility of the n-GaAs. The Hall carrier concentration was measured to be $2.8 \times 10^{16}$ cm$^{-3}$ for the Co$_2$FeSi heterostructure and $3.5 \times 10^{16}$ cm$^{-3}$ for the Co$_2$MnSi heterostructure. Fig. 3(a) shows the channel electron mobility and diffusion constant as a function of temperature for the Co$_2$FeSi heterostructure. The Hall factor [28], which causes deviation of the Hall mobility from the electron mobility in n-GaAs, is accounted for by assuming the Hall factor is unity at 300 K [29, 30] and that the carrier concentration is temperature-independent.

A typical SV device Co$_2$FeSi/n-GaAs contact three-terminal (3T) interface current-voltage ($J$ – $V$) characteristic is shown in Fig. 3(b). The inset of Fig. 3(b) shows the differential conductance per unit area ($dJ/dV$) as a function of temperature. Tunneling-dominated transport (field emission) is known to be necessary for spin injection in FM/GaAs Schottky contacts [31]. The existence of tunneling-dominated transport under forward bias at all temperatures is supported by two observations. First, $dJ/dV$ increases exponentially with forward bias voltage at all temperatures, at a rate that is independent of temperature. Because of the triangular Schottky barrier [32], the forward bias voltage across a Schottky interface changes the thickness of the effective potential barrier through which tunneling occurs [33, 34]. Although thermionic emission and thermionic field emission also lead to an exponential increase of $dJ/dV$ with interface forward bias voltage, the rate for those processes is strongly temperature-dependent, ruling out those mechanisms. Second, at temperatures below the Fermi temperature of the n-GaAs ($\sim 60$ K for these samples) the forward bias differential conductance decreases weakly with decreasing temperature. Although $dJ/dV$ at forward bias is temperature-dependent above the Fermi temperature, this does not imply thermionic emission but rather an increase in the tunneling attempt rate due to the nondegeneracy of the n-GaAs [33].

FIG. 3. (Color online) (a) The n-GaAs mobility extracted from Hall measurements (left ordinate) as a function of temperature on the Co$_2$FeSi heterostructure. The gray solid line is a fit to the model for the mobility given by Eq. [10] with the ionized-impurity (II) and optical-phonon (OP) scattering contributions to the mobility indicated with the dash-dot gray lines. In the fit shown, $A = 1.3 \times 10^5$ cm$^{-2}$V$^{-1}$s$^{-1}$, $B = 18$ cm$^2$V$^{-1}$s$^{-1}$K$^{-3/2}$ and $C = 2.0 \times 10^6$ cm$^2$V$^{-1}$s$^{-1}$K$^{-1}$. The red dashed line (right ordinate) is the channel diffusion constant calculated with Eq. [6]. (b) Typical Co$_2$FeSi contact 3-terminal $J$–$V$ characteristic at 20 K. The inset in (b) is the differential conductance as a function of temperature at different interface forward bias voltages. The solid curves connect data points.

C. Spin transport

A schematic diagram of the SV measurement is shown in Fig. 2(a). A dc bias current $I_i$ flows through the injector contact and a second bias current $I_d$ flows through the detector contact. The injector and detector current
sources share a common reference contact. In this article positive currents and interface voltages refer to electron extraction from the channel, i.e., forward bias of the metal/semiconductor Schottky contact. The bias current applied to the detector contact results in a voltage drop $V_d$ over the tunnel barrier, which is the 3T interface voltage of the detector contact. In these devices, a forward bias applied at the detector contact enhances the nonlocal SV signal size compared to an unbiased detector (zero detector bias is the traditional nonlocal SV configuration pioneered by Johnson and Silsbee [35]). We will henceforth refer to the case of a bias current applied through the detector contact as the biased-detector spin valve (BDSV) measurement. The enhancement in the SV signal size with a bias applied to the detector contact has been observed in prior $n$-GaAs lateral SV literature on similar heterostructures [36,37], and the possible origins will be discussed in detail later in this article.

An applied magnetic field is swept along the FM easy axis to switch the magnetizations of the injector and detector contacts from the parallel to antiparallel configuration, which allows for a definitive measurement of the nonlocal voltage due to spin accumulation. The difference in the nonlocal detector voltage $V_{nl}^d$ between the parallel and antiparallel contact magnetization states is due to spin accumulation in the semiconductor [35] and is given by

$$
\Delta V_{nl} = V_{NL,↑↑} - V_{NL,↓↓} = \eta(V_d) \frac{n↑ - n↓}{e} \frac{\partial \mu}{\partial n},
$$

where $n↑(↓)$ is the majority (minority) spin-resolved carrier density in the GaAs channel, $e$ is the electron charge, and $\partial \mu/\partial n$ is the inverse of the thermodynamic compressibility of the semiconductor. We will refer to $n↑ - n↓$ as the spin accumulation and $(n↑ - n↓)/n$ as the dimensionless spin polarization throughout this article. The dimensionless detection efficiency parameter $\eta(V_d)$ characterizes the spin sensitivity of the detection contact [38] and is a function of the bias voltage. Because of the bias current applied through the detector contact, $V_d$ is not an open circuit nonlocal voltage (or “electromotive force”). The voltage drop over the detector Schottky tunnel barrier contributes an offset $V_d$, so that

$$
V_{nl} = V_d + \frac{\Delta V_{nl}}{2} \hat{m}_i \cdot \hat{m}_d
$$

where $\hat{m}_i(d)$ is the unit vector specifying the magnetization of the injector (detector) contact.

Example BDSV field sweeps are shown in Figs. 2(b) and (c) on SV devices with an injector-detector edge-to-edge separation of 250 nm at an injector bias current of $J_i = 10^4 \text{ A/cm}^2$. The BDSV measurement on the device with Co$_2$FeSi contacts is shown in Fig. 2(b) at $J_d = 40 \text{ A/cm}^2$, and for the device with Co$_2$MnSi contacts in Fig. 2(c) at $J_d = 400 \text{ A/cm}^2$. The Co$_2$MnSi/$n$-GaAs contacts exhibited large voltage noise in the nonlocal SV measurements, and the signal-to-noise ratio (SNR) was not adequate for measurements at high temperatures. For this reason, the analysis presented in this article is carried out for measurements on Co$_2$FeSi/$n$-GaAs devices. At low temperatures, at which the SNR in Co$_2$MnSi/$n$-GaAs devices was adequate, the SV measurements were quantitatively similar to those on Co$_2$FeSi/$n$-GaAs devices. A linear background in $V_{nl}$ can result from the Hall effect due to slight misalignment. The slope, which is a weak function of temperature, is subtracted from the data before extracting $\Delta V_{nl}$.

Nonlocal Hanle (NLH) measurements [35,39] were also performed in the biased-detector configuration. In the NLH measurement a magnetic field applied perpendicular to the sample plane is used to apply a precessional torque, which, in combination with diffusion, dephases the spin accumulation. In all of the NLH measurements, the applied field was small enough so that the out-of-plane rotation of the contact magnetization decreased the in-plane component of the magnetization by less than 1.5%, which was considered negligible. The NLH measurement could be executed with the injector and detector contacts in either the parallel or antiparallel configuration. In the fitting of the NLH lineshape discussed in Section III D, the difference of the parallel and antiparallel field sweeps is used.

At cryogenic temperatures, the NLH measurement in $n$-GaAs is complicated by the strong hyperfine fields due to dynamic nuclear polarization (DNP) [12,14,19]. Steady-state conditions are difficult to achieve due to long (~seconds) nuclear depolarization timescales, and small misalignments between the applied field and the contact magnetization result in oblique Overhauser fields, which distort the NLH lineshape [12,14]. To mitigate the influence of DNP effective fields on the NLH lineshape, a low duty cycle (<1%) pulsed current measurement was used for the NLH sweeps at temperatures below 100 K. The current was turned off for 1000 milliseconds, then pulsed on for 5 milliseconds after which the voltage was recorded and the pulse-train repeated. The current rise and fall times were much shorter than the few-millisecond current pulse duration. The pulsed measurement minimizes the nuclear polarization buildup because the current is on for a time much less than the nuclear polarization time [19]. Example NLH data obtained for the 250 nm separation Co$_2$FeSi device at 60 K are shown in Fig. 2(b).

III. RESULTS

A. Effect of detector bias

We now discuss the effect of detector bias on our SV measurements. First, we note that Crooker et al. [39] and Bruski et al. [37] observed similar enhancement of the spin valve signal in the presence of a detector bias current or voltage. Although several mechanisms have been proposed to explain the enhancement in the nonlocal SV signal with detector bias, the enhancement re-
mains poorly understood. At the end of this section, we will return to discuss possible explanations in light of our measurements.

We find that a sufficiently large forward bias current applied through the detector contact increases the SV signal \( \Delta V_{\text{nl}} \) at all temperatures. Fig. 4 shows \( \Delta V_{\text{nl}} \) vs. \( J_i \) for the 250 nm separation at 150 K. \( \Delta V_{\text{nl}} \) increases linearly with \( J_i \) at all detector bias currents, but the slope of \( \Delta V_{\text{nl}} \) vs. \( J_i \) is enhanced with increasing detector forward bias current. This enhancement is particularly advantageous for measurements at high temperatures near 300 K, at which the spin valve signal becomes small in n-GaAs [1, 3]. This effect was observed in devices with both CoFeSi and CoMnSi contacts and was observed previously for devices with Fe contacts [30].

For the case of no bias current passing through the detector (i.e., the conventional nonlocal SV measurement), \( \Delta V_{\text{nl}} \) could be measured in the 250 nm separation device for temperatures less than approximately 200 K (see data points in Fig. 5(b-c) at \( V_d = J_d = 0 \)). For a fixed injector current, the SV measurement was then performed at different detector bias currents. The corresponding interface voltage drop \( V_d \) was measured at each bias current, and so the data may be presented as a function of either bias voltage \( V_d \) or current \( J_d \). The results of this measurement at 60 K on the 250 nm separation are shown in Fig. 5(a) and are summarized for all temperatures in Figs. 5(b) and (c). At forward detector bias above interface voltages of \( V_d \sim 0.2 \) V, we observe significant enhancement of \( \Delta V_{\text{nl}} \). As shown in Fig. 5(a), the dependence of \( \Delta V_{\text{nl}} \) on the detector bias is non-monotonic below \( \sim 200 \) K, and it is suppressed at small detector voltages (of either sign) and even changes sign for a narrow window of reverse bias. Although \( V_{\text{nl}} \) is sensitive to 3T signals [8] produced by local spin injection at the detector contact, only nonlocally-injected spin accumulation contributes to \( \Delta V_{\text{nl}} \) in a spin valve measurement, because \( \Delta V_{\text{nl}} \) is the difference in nonlocal voltage between parallel and antiparallel magnetization states. Furthermore, as shown in Fig. 5(b), the NLH measurement can also be performed with the parallel-antiparallel difference at zero field matching the BDSV magnitude. The existence of the NLH effect at low temperatures demonstrates conclusively that the biased-detector measurement in these devices is a probe of the nonlocally injected spin accumulation.

The enhancement in \( \Delta V_{\text{nl}} \) under forward detector bias occurs at all temperatures measured, from 20 K to room temperature. Using the BDSV measurement a clear SV signal could be measured on the separations below 1 \( \mu \)m up to and above room temperature on the CoFeSi de-
vices. To our knowledge, the spin signal we measure on the 250 nm separation device of \( \sim 40 \mu V \) at room temperature is over an order-of-magnitude larger than that which has been achieved in FM/\( n \)-GaAs SVs, to date [4]. We now discuss the possible origins of the forward bias enhancement of the SV signal.

We consider first the influence of drift due to electric fields in the channel between the injector and detector contacts. Due to the relatively low carrier density in these samples, the spin drift length \( l = \tau_s J/ne \) can be comparable to or larger than the spin diffusion length \( \lambda = \sqrt{D\tau_s} [40, 41] \). In the case of a forward bias current applied through the detector contact (electron extraction from the channel), the electric field in the channel causes drift of electrons from the injector towards the detector contact, enhancing the nonlocal spin accumulation when compared to spin diffusion alone. To determine if the detector bias current leads to significant drift enhancement of \( \Delta V_{nl} \), the current density in the channel between injector and detector contacts at which the spin drift length was equal to the spin diffusion length was evaluated at each temperature. Above a critical current density \( J_c = ne\sqrt{D/\tau_s} \), which is the current density at which \( l = \lambda \), drift enhancement of the nonlocal spin accumulation below the detector contact becomes significant. The region where this occurs is illustrated in Fig. 5(c), in which the dashed curve shows \( J_c \). The drift enhancement is significant only at low temperatures and the highest detector bias currents. This is in contrast to the case of Si described in Ref. [41] in which the long spin lifetime at room temperature, combined with higher current densities than we apply, leads a spin drift length which can be much longer than the spin diffusion length. Because the enhancement in \( \Delta V_{nl} \) occurs at all temperatures and for current densities far below \( J_c \), it cannot be attributed solely to spin drift effects in the channel. Although variations on simple drift models have been proposed [42], it is unlikely that drift alone can play a significant role given that the enhancement is observed up to room temperature. For the purposes of discussion, we attribute the enhancement in \( \Delta V_{nl} \) with detector forward bias primarily to enhancement of \( \eta \), the detection efficiency, which we treat as a purely interfacial property. The detection efficiency is a function of detector bias, i.e. \( \eta \rightarrow \eta(V_d) \).

Hu et al. [43] and Salis et al. [8] observed a highly non-monotonic behavior of the sign of the injected spin polarization in similar heterostructures with Fe contacts. The sign and magnitude depended strongly on the details of the \( n \)-GaAs band structure in the region of \( n^+ \) doping near the interface. It is possible that the enhancement of \( \eta \) under forward bias is due to the enhanced participation of additional quantum well states that form on the SC side of the tunnel barrier due to the \( n^+ \) doping layer. It has been proposed that these states play a critical role in both charge and spin current in tunnel contacts using Schottky barriers through FM/SC wavevector-matching arguments which depend on the degree of quantum confinement of the SC states [44].

Another point of view focuses on the nonlinear current-voltage characteristic of the tunnel barrier itself [15, 16]. A simple analysis suggests that the ratio of the detected voltage to the spin accumulation should be modified by the ratio \( (J/V)/(dJ/dV) \) of the absolute to differential conductance, although Jansen et al. [47] have noted that this correction factor is in fact an upper bound. In our case, however, we observe an effect that is opposite to that suggested by this argument. \( (J/V)/(dJ/dV) \) is smaller at forward bias voltage than at zero bias, because \( J \) increases exponentially with \( V \).

Because the bias current applied to the detector introduces a 3T offset \( V_d \) to \( V_{nl} \), care must be taken to separate signals due to nonlocal spin accumulation from signals of local origin. Surface localized states in tunnel barriers have been at the center of a controversy in the semiconductor spin injection literature because of the influence these states can have on both the magnitude and line-slope of the 3T Hanle measurement [48]. For example, Txoperena et al. [49] determined that impurity-assisted tunneling processes can lead to Lorentzian-shaped magnetoresistance effects that mimic the Hanle effect. Also, Jansen et al. [50] note that in the 3T geometry the change in 3T voltage due to spin accumulation can originate from spin accumulation in interface localized states as well as bulk channel spin accumulation. Our measurement, however, probes the parallel-antiparallel difference in the nonlocal voltage, notwithstanding the bias applied to the detector contact. Although localized states may play an important role in the spin-polarized transport at our interfaces, the mechanisms discussed by Txoperena et al. [49], Jansen et al. [50] are only relevant for 3T local spin detection where the ferromagnetic contact simultaneously serves as the injector and detector.

Another possible physical explanation for the detector bias dependence of \( \Delta V_{nl} \) is that significant features exist in the spin-resolved density-of-states (DOS) of the CoFeSi/GaAs interface near the Fermi level. These features could lead to spin injection and detection efficiencies that vary with forward bias voltage, as states above the Fermi level in the FM become available for elastic tunneling from the SC. Density functional theory (DFT) calculations done for CoFeSi in the L21 phase [51, 52] suggest strong variations in the bulk minority DOS near the Fermi level over energy ranges of \( \sim \)hundreds of meV, which are comparable to the scale of the interface voltages at the detector in our measurement. Strong bulk minority DOS variations near the Fermi level have also been predicted for CoMnSi which are largely insensitive to the phase (L21 vs. B2) [53]. However, the bias dependence of spin detection shown in Fig. 4(a) cannot be clearly correlated with the features in the spin-resolved DOS reported by DFT calculations. Additionally, interface states, such as those which have been proposed for the Fe/GaAs(001) interface, will contribute to the tunneling current [54]. Although it is likely that the low-voltage features in \( \Delta V_{nl}(V_d) \) are associated with electronic structure of the interface, we have no quantitative
description of the bias-dependence of the nonlocal voltage.

We now comment briefly on the sign of the spin valve signals we observe. In this article, a decrease in $V_{nl}$ in the antiparallel magnetization state is defined as a positive $\Delta V_{nl}$. The BDSV sweeps shown in Figs. 2(b) and (c) are examples of positive $\Delta V_{nl}$ values. The sign of $\Delta V_{nl}$ is determined by the relative signs of the injection and detection efficiencies. That is, same sign (opposite sign) injection and detection efficiencies correspond to a positive (negative) $\Delta V_{nl}$. Microscopically, the individual signs of these efficiencies are determined by the difference in the spin-resolved interface conductances ($i_\uparrow - i_\downarrow$, where the “up” direction is defined by the energy-integrated majority spin direction (i.e., magnetization) of the ferromagnet. Because the nonlocal voltage depends on the product of the two efficiencies, it is not possible to correlate its sign directly with the sign of the spin accumulation. At low temperatures, the influence of the electronic Knight field on the nuclear polarization in oblique Hanle geometries [12, 19] can be used to determine the sign of the spin accumulation with respect to the magnetization orientation. We have determined that at high forward bias (spin extraction) the sign of the spin accumulation is minority in Co$_2$FeSi and majority in Co$_2$MnSi with respect to the magnetization of the injector contact [53].

B. Injector-detector separation dependence

We quantify device parameters at different temperatures using the injector-detector separation dependence (IDSD) of the spin valve signal size, rather than relying on NLH measurements. The NLH measurement in $n$-GaAs becomes challenging at high temperatures because of the magnetoresistance backgrounds present over the much larger magnetic field range required when the spin lifetime is small. The injector-detector separation was varied in order to extract the spatial dependence of the spin accumulation in the channel. By utilizing the enhanced signal in the BDSV configuration, clear SV signals could be measured at the smallest separations up to room temperature. For the IDSD measurement, the detector contact forward bias was fixed at a current density of 40 A/cm$^2$. This bias current was well into the enhancement regime shown in Fig. 3(c), but below the regime where spin drift enhancements were significant at low temperatures. $\Delta V_{nl}$ was recorded at bias conditions $J_i = 1000$ A/cm$^2$, $J_d = 40$ A/cm$^2$ for each temperature and injector-detector separation. The results of the IDSD measurement are summarized in Fig. 6. The solid lines in Fig. 6 are fits to a numerical model of the spin accumulation in the channel, which will be explained in detail later in this article.

We note that in Eq. 1, $\Delta V_{nl}$ is proportional to the spin accumulation $n_\uparrow - n_\downarrow$ and the inverse compressibility of the channel $\partial \mu/\partial n$. At temperatures above the Fermi temperature (in our samples $T_F \simeq 60$ K) at which the $n$-GaAs is no longer degenerate, $\partial \mu/\partial n$ is a function of temperature. In the nondegenerate regime ($T \gg T_F$), $\partial \mu/\partial n \propto T$. This relationship implies that as the temperature increases in the nondegenerate regime, a larger $\Delta V_{nl}$ is measured for a given spin accumulation. For these samples,

$$\frac{\partial \mu}{\partial n}\bigg|_{300 \text{ K}} \simeq 7 \frac{\partial \mu}{\partial n}\bigg|_{20 \text{ K}}.$$  

Because of this enhancement factor, while the spin accumulation falls by two orders of magnitude from 20 K to 300 K, $\Delta V_{nl}$ at separations much smaller than a diffusion length only decreases by roughly one order of magnitude over the same temperature range.

C. Modeling of the spatial decay of spin accumulation

Here we discuss the model used to describe the spin accumulation in the channel and which is used to fit the IDSD measurement results. Typically, in systems where spin diffusion is one-dimensional, the SV signal size is interpreted with the expression [55]

$$\Delta R_{nl} = \Delta V_{nl}/I = \frac{\eta^2 \rho \lambda e^{-y/\lambda}}{A},$$  

FIG. 6. (Color online) The injector-detector separation dependence of $\Delta V_{nl}$ for the devices with Co$_2$FeSi contacts at temperatures from 20 K to 300 K, in increments of 20 K. The horizontal axis of the plot is the injector edge to detector center separation, i.e. the 1 µm-wide injector extends from -1 to 0 µm on the horizontal axis. Superimposed as solid lines are the fits of a 2D numerical solution of Eq. 5 with $\tau_s$ and $\eta_\alpha$ as the fitting parameters. The bias conditions are indicated on the figure as well as the spin diffusion lengths at 20 K and room temperature (RT). At low temperature, the IDSD measurement on the Co$_2$MnSi devices yielded comparable SV signal sizes and $n$-GaAs spin diffusion length. A complete temperature-dependence measurement, however, was not performed.
where \( \rho \) is the channel resistivity, \( A \) is the channel cross-sectional area, and \( y \) is injector-detector separation. Eq. 4 has been used to model the SV signal size in a variety of material systems \([1, 39]\) in which the FM/NM barrier resistance is much larger than the channel spin resistance, so that the conductivity mismatch problem may be ignored. We choose to use a more general numerical model of the spin accumulation in the channel to fit to the IDSD measurement because of several considerations. First, as discussed earlier, drift due to the bias current influences the spatial spin accumulation profile in \( n \)-GaAs at low temperatures, and the exact drift field is best captured by a numerical model. Second, at measurement temperatures near room temperature the spin diffusion length in \( n \)-GaAs is less than the channel thickness of 2.5 \( \mu m \). In this regime a more general solution of the spin drift-diffusion equation is needed, because Eq. 4 is only appropriate for devices where the spin drift and diffusion are effectively one dimensional. In two or three dimensions, the spin accumulation decays faster than \( e^{-y/\lambda} \) for \( y < \lambda \), in exact analogy to the two and three dimensional solutions of the screened Poisson equation.

The spatial profile of spin accumulation in the channel is modeled by solving the spin drift-diffusion equation [10] in steady state,

\[
\frac{\partial \mathbf{P}}{\partial t} = \frac{- \mathbf{P}}{\tau_s} + D \nabla^2 \mathbf{P} + \frac{\mathbf{J}}{ne} \cdot \nabla \mathbf{P} + \frac{\alpha \mathbf{m}_i |\mathbf{J}|}{ne \Delta z},
\]

where \( |\mathbf{P}| \equiv (n_\uparrow - n_\downarrow)/n \) is the dimensionless spin polarization of the channel, \( D \) is the spin diffusion constant (equal to the charge diffusion constant [10]), \( \mathbf{m}_i \) specifies the injector contact magnetization direction, and the last term specifies the source term, which is only nonzero at the cells of the finite element model where spin injection occurs. In the source term, the \( \Delta z \) factor in the denominator is the size of the injection cell in the \( z \)-direction, which normalizes the injection rate in the finite-element grid properly. \( \mathbf{J} \) is the current density in the channel, and the parameter \( \alpha \) is the spin injection efficiency at the FM/SC interface (i.e., for \( \alpha = 1 \) the spin current at the FM/SC interface is equal to the charge current). \( \alpha \) encompasses both the bulk polarization of the current in the FM, as well as interface effects determining the polarization of the charge current. The spin valve device geometry is cast into a finite-element grid, and Eq. 5 is solved numerically by forward iteration until steady state is reached. See Fig. 7 for a schematic diagram illustrating the model geometry. The contact length in the \( x \)-direction (50 \( \mu m \)) is much longer than the spin diffusion length at all temperatures. The model is therefore confined to the \( yz \)-plane and the spin accumulation is assumed to be uniform in the \( x \)-direction. Neumann boundary conditions are enforced at the free boundary cells, i.e., the diffusive spin current \( \propto \nabla \mathbf{P} = 0 \) at the boundaries.

The current density \( \mathbf{J} \) in the channel was solved for prior to solving Eq. 4 by assuming charge neutrality throughout the channel, so that \( \nabla \cdot \mathbf{E} = \nabla \cdot \mathbf{J} = 0 \). Because \( \nabla \cdot \mathbf{J} = 0 \), there exists a scalar potential \( \phi_J \) that satisfies \( \nabla^2 \phi_J = 0 \). \( \phi_J \) is solved for with a Laplace relaxation method, and finally the current density vector field is solved for by evaluating \( \nabla \cdot \phi_J = \mathbf{J} \).

The diffusion constant \( D \) is calculated from the Einstein relation

\[
D = \frac{\nu e}{\mu} \left( \frac{\partial \mu}{\partial n} \right),
\]

where \( \nu \) is the mobility. For \( n = 2.8 \times 10^{16} \) GaAs, the Fermi temperature \( T_F \gtrsim 60 \) K, so in order to capture the transition from degenerate to nondegenerate behavior, the inverse compressibility \( \partial \mu/\partial n \) is calculated using full Fermi-Dirac statistics. A parabolic conduction band density of states with GaAs effective mass \( m^* = 0.067m_0 \) [28] is used, and the inverse compressibility is evaluated via the expression

\[
\frac{\partial \mu}{\partial n} = \frac{k_B T}{\mu} \frac{F_{1/2}(\zeta)}{n},
\]

where \( \zeta \equiv \mu/k_B T \) is the reduced chemical potential and \( F_{\alpha}(\zeta) \) is the complete Fermi-Dirac integral. In the limits \( T \ll T_F \) and \( T \gg T_F \) Eq. 7 reduces to \( \partial \mu/\partial n = 2E_F/3n \) and \( \partial \mu/\partial n = k_B T/n \), respectively.

To compare the solution of Eq. 5 directly with the measured \( \Delta V_{nl} \), the calculated nonlocal spin accumulation at the detector is input to Eq. 4. The overall scale of \( \eta \), the detection efficiency, cannot be determined in this measurement. However, because the known injector current

\[
0.25 \, \mu m
0.1 \, \mu m
50 \, \mu m
0.1 \, mm
50 \, mm
0.1 \, mm
\]
density constrains the spin injection rate, the product of the injection and detection efficiencies $\eta_\alpha$ can be determined. We will discuss the constraints on $\eta$ in more detail below.

The IDSD measurement results are fit to the numerical solution of Eq. 5 with the spin lifetime $\tau_s$ and the dimensionless spin injection efficiency $\alpha$ as fitting parameters. The fits to the IDSD results are shown as solid lines in Fig. 8(a) and the temperature dependence of the fitting parameters $\tau_s$ and $\eta_\alpha$ are shown in Figs. 8(a) and (b). The product $\eta P_0$ of the detection efficiency and the spin polarization $P_0$ below the injector is also shown in Fig. 8(b).

D. Hanle fitting

At low temperatures, at which the NLH measurement could be performed, the spin lifetime obtained from fits of the IDSD measurement could be compared to the spin lifetime measured by Hanle precession experiments. To fit NLH field sweeps the data were fit to the Green’s function solution of Eq. 4 in one dimension, which gives

$$V_{nl}(H) \propto P(y) \cdot m_d \propto \int_{-\infty}^{\infty} \exp\left[-\left(\frac{\nu^2}{4\pi D} + \frac{1}{\tau_s}\right)\right] \cos(\gamma c H t) dt,$$

where $|\gamma_c|/2\pi = 0.62$ MHz/Oe is the gyromagnetic ratio in GaAs. Eq. 8 is identical to solving Eq. 4 in one dimension with an added precession term from an external transverse magnetic field $H$, and $J = 0$. The simplification to one dimension is appropriate at low temperatures, because the spin diffusion length $\sqrt{D\tau_s}$ is larger than the channel depth of 2.5 $\mu m$.

E. Spin lifetime calculation

In order to compare the measured temperature dependence of the spin lifetime with DP theory, we used the method of Lau, Olesberg, and Flatté [30, 31] to calculate the spin relaxation rate for the doping concentration $n = 2.8 \times 10^{16}$ cm$^{-3}$. The spin relaxation rate, $\tau_{nl}^{-1}$, can be expressed as

$$\tau_{nl}^{-1} = 1 \int D(\epsilon) f(\epsilon)[1-f(\epsilon)]\tau_s(\epsilon)\Omega^2(\epsilon) d\epsilon,$$

where $D(\epsilon)$ is the effective-mass approximation density-of-states in the GaAs, $f(\epsilon)$ is the Fermi-Dirac distribution function, $\tau_s$ is the $l = 3$ component in the multipole expansion of the momentum scattering time, and $\Omega^2(\epsilon)$ is the $l = 3$ component of the energy-dependent effective SOI magnetic field. The cubic symmetry of the Dresselhaus interaction in bulk GaAs [15] results in $\Omega^2 = 0$ for all $l \neq 3$. Eq. 9 is a generalization of the original DP expression $\tau_{nl}^{-1} = a(\Omega^2)\tau_p$ [17, 19], where the integral over energy in Eq. 9 properly weights the spin relaxation rate to account for an arbitrary degree of degeneracy as well as energy-dependent momentum scattering mechanisms.

In $n$-GaAs, the dominant scattering mechanism changes from ionized-impurity (II) scattering at low temperatures to optical-phonon (OP) scattering at high temperatures [58], as demonstrated by the non-monotonic temperature-dependence of the mobility shown in Fig. 3(a). To determine the momentum scattering time, the experimental mobility $\nu$ is fit to the form

$$\nu^{-1} = \frac{A + BT^{3/2}}{\nu_{II}} - \frac{CT^{-1}}{\nu_{OP}},$$

FIG. 8. (Color online) (a) The temperature dependence of $\tau_s$ extracted from the fits in Fig. 6 along with the theoretical prediction based on Eq. 10 which is shown as the blue solid line. Spin lifetimes extracted from NLH measurements are shown as red crosses, with the corresponding NLH data $V_{\uparrow\uparrow} - V_{\uparrow\downarrow}$ and fits to Eq. 8 shown in the inset (artificially offset). The asterisks on the temperature labels in the inset indicate that the NLH sweeps were taken with the pulsed current measurement to mitigate DNP effects. The NLH data shown are taken at the same bias currents as used for the data of Fig. 6 on the 250 nm separation device. (b) The temperature dependence of $\eta P_0$ (left ordinate) and $\eta_\alpha$ (right ordinate). $P_0$ is the spin polarization directly beneath the injector from the model fits shown in Fig. 6. At temperatures below 140 K, $\eta_\alpha$ is shown for different injector current densities using the symbols indicated in the legend. In (b) representative error bars are shown for the $J_i = 10^4$ A/cm$^2$ data only. All data in (b) were taken with $J_d = 40$ A/cm$^2$.
which combines the II and OP scattering rates via Matthiessen’s rule. In Eq. 10, A and B are fitting parameters for the II mechanism and C is a fitting parameter for the OP mechanism. For II scattering, $T^{5/2}$ is the known temperature dependence of the scattering time and the fitting parameter $A$ is added to account for degeneracy at low temperatures. No universal energy exponent can be assigned to OP scattering over the experimental temperature range, due to the breakdown of the relaxation-time approximation \cite{58,60}. We find, however, that $\nu \propto T^{-1}$ approximates the measured high temperature mobility. This is not a rigorous relation for OP scattering, but the purpose of Eq. 10 is to provide a phenomenological scattering rate which decreases with temperature (II scattering) and a scattering rate which increases with temperature (OP scattering). The fit to Eq. 10 is shown along with the measured mobility in Fig. 8(a).

After fitting the temperature dependence of the mobility to extract the contributions due to the II and OP scattering mechanisms, each mechanism is separately fit to the expression

$$\nu_{II(\text{OP})} = \frac{e}{m^* n} \int D(\epsilon) f(\epsilon)[1 - f(\epsilon)]\tau_{1,II(\text{OP})}(\epsilon) \frac{e^{\epsilon/k_BT}}{k_BT} d\epsilon$$

(11)

to determine $\tau_1$ (the momentum relaxation time) for each mechanism, at each temperature. The energy dependence of the scattering time is assumed to be $\tau_1 = \alpha e^\gamma$, where $\gamma = 3/2$ and $\gamma = 1/2$ for II and OP scattering, respectively \cite{57}. The relevant multipole component of the scattering time for DP relaxation, $\tau_3$, can be determined from $\tau_1$ by expressing the $l^{th}$ multipole component of the scattering time using the known form of the scattering cross section $\sigma(\theta, \epsilon)$

$$\tau_3^{-1}(\epsilon) = \int_0^\pi \sigma(\theta, \epsilon)[1 - P_l(\cos\theta)] \sin \theta d\theta,$$

(12)

where $P_l$ is the Legendre polynomial of degree $l$. Eq. 12 may be evaluated to relate $\tau_3$ to $\tau_1$ (for detailed evaluation of Eq. 12 see Ref. 19) resulting in $\tau_3 = \tau_3/6$ for II scattering, and $\tau_3 = 6\tau_3/41$ for OP scattering \cite{19,57}.

After fitting the measured mobility with Eq. 10 and 11, the $l = 3$ component of the momentum scattering rate $\tau_3^{-1} = \tau_3^{-1}_{II} + \tau_3^{-1}_{OP}$ is input to Eq. 6 and the DP spin relaxation rate is evaluated at all temperatures. The SOI strength used to evaluate $\Omega^2_{\alpha}$ as a function of carrier energy is taken from the $k$-$p$ calculation with a full fourteen band basis done by Lau et al. \cite{56}. Their calculations give $\Omega = 2\beta/h(k_{\alpha}(k_\alpha^2 - k_z^2) + k_y(k_y^2 - k_z^2) + k_x(k_x^2 - k_y^2))$ with $\beta = 25 eV A^3$. The final result for the spin lifetime as a function of temperature from Eq. 9 is shown as the blue solid line in Fig. 8(a).

IV. DISCUSSION

As shown in Fig. 6, the spin diffusion length $\lambda = \sqrt{D\tau_s}$ falls from approximately 7 $\mu$m at 20 K to 1 $\mu$m at room temperature. Injector-detector separations less than approximately 1.0 $\mu$m are therefore ideal to detect NLSV signals in $n$-GaAs at room temperature. We emphasize that a two-dimensional model of spin diffusion is needed to fit the separation dependence of $\Delta V_{nl}$ when the spin diffusion length is smaller than the channel depth of 2.5 $\mu$m. Fits using the 1D solution of Eq. 5 underestimate the spin lifetime and spin diffusion length when the channel thickness is greater than a spin diffusion length, because the spin accumulation in two dimensions decays faster than $e^{-\lambda/\lambda}$ away from the injector.

As can be seen in Fig. 8(a), the temperature dependence of the spin lifetime agrees well with the DP prediction, calculated from Eq. 6 over the entire temperature range. $\tau_s$ varies from 49 $\pm$ 16 ns at 20 K to 86 $\pm$ 10 ps at 300 K. The relatively large uncertainty in the 20 K spin lifetime value results from a lack of data for injector-detector separations larger than the spin diffusion length at low temperature. Separations larger than 10 $\mu$m would be required to constrain the fit adequately. At low temperatures (40-120 K) we have also measured $\tau_s$ by the NLH measurement. The spin lifetimes obtained with NLH measurements are also shown on Fig. 8(a), with the NLH field sweeps and fits to Eq. 8 shown in the inset. The $\tau_s$ values from NLH measurements are in good agreement with the IDSD $\tau_s$ values above $\sim$60 K. At the lowest temperatures (20-40 K), the pulsed NLH measurement technique may not be sufficient to completely remove the effects of DNP. A combined model of the electron-nuclear spin system is needed to adequately model the NLH measurement in the regime where DNP is significant, as is done in Refs. 12, 14, 61.

We now comment on the magnitude of $\Delta V_{nl}$ in the biased-detector SV measurement. Combining Eq. 1 and 7 allows one to determine the spin accumulation $n_\uparrow - n_\downarrow$ given $\Delta V_{nl}$, the SV signal size. The only unknown is $\eta$, the detection efficiency. In our devices, we have demonstrated that $\eta$ is a strong function of detector bias, which complicates the interpretation. Because of the detector bias dependence of $\eta$ implied by the data shown in Fig. 5, we also cannot assume $\alpha = \eta$, as the injector contact is biased with a large current, while the detector bias is varied. Based on these considerations, the spin polarization of the channel and the injection efficiency may only be quantitatively evaluated up to a factor of $\eta$ (i.e. $\eta P_0$ and $\eta \alpha$, respectively), where $\eta$ is the detection efficiency at the detector bias voltage at which the measurement was performed and $P_0$ is the spin polarization below the injector. These quantities are shown in Fig. 8(b). Although the overall scale for $\eta$ cannot be determined in this experiment, it is believed to be $\sim$50% based on spin-LED measurements on similar Fe/GaAs Schottky interfaces \cite{62}.

At the lowest temperatures, we measure $\Delta V_{nl}$ values of $\sim$1 mV with a forward bias applied to a detector contact. This implies that the spin-resolved electrochemical potential splitting at the injector is comparable to the Fermi energy in the GaAs channel, which is $\sim$5 meV with
respect to the conduction band minimum. As the maximum possible value of $\eta$ is unity, we emphasize that the ordinate scales shown in Fig. 8(b) are therefore minimum values for $P_0$ and $\alpha$. At 20 K, we measure $\eta P_0 = 30\%$. Thus, the upper limit of 100% polarization in the GaAs puts a lower limit of $\eta \sim 0.3$ at 20 K. Notably, because the forward bias current (spin extraction) leads to drift enhancement of the spin accumulation buildup at the injector contact, ideal ferromagnetic contacts ($\alpha = 1$) are not necessary to achieve channel spin polarizations approaching 100% [40, 63].

In Fig. 8(b), a downturn in the injection-detection efficiency product $\eta \alpha$ is observed at temperatures below 100 K. To address this observation, we have measured $\eta \alpha$ for different injector current biases. The results of this measurement are shown in Fig. 8(b), where it is apparent that $\eta \alpha$ is a function of the injector current bias at low temperatures. At temperatures above $\sim$150 K, where the spin accumulation is small with respect to the carrier density, $\eta \alpha$ becomes independent of injector current bias.

To understand the injector bias current dependence of $\eta \alpha$, we first discuss the influence of an electric field on the spin accumulation. Electric fields at the injector necessarily accompany the bias current. In addition to the drift effects, discussed above, large electric fields in $n$-GaAs are known to enhance the spin relaxation rate. In $n$-GaAs, at low temperatures ($T \lesssim 30$ K) the itinerant electron temperature can deviate significantly from the lattice temperature due to the dominance of elastic scattering mechanisms, which hinder electron-lattice equilibration [64]. This electron heating is present above electric fields $\sim$$10$ V/cm, and leads to donor impact ionization, which prevents the electron temperature from cooling below the donor binding energy ($\sim$$6$ meV for Si in GaAs [28]). At low temperatures, electric field dependence of the spin lifetime has been widely reported [9, 65, 66]. At the lowest temperatures in our experiment (20, 30 K), the suppression of the spin lifetime due to the applied electric field may contribute to the downturn in $\eta \alpha$ we observe. However, the injector bias dependence of $\eta \alpha$ is observed clearly up to $\sim$$100$ K in Fig. 8(b). At 100 K, all donors are thermally ionized and inelastic electron-phonon relaxation mechanisms are sufficient to prevent any electron-lattice temperature difference. Thus, we believe that electric field suppression of the spin lifetime is not the origin of the injector bias dependence of $\eta \alpha$.

We believe that the downturn in $\eta \alpha$ at low temperatures is more likely to be a consequence of the large spin polarization of the channel and consequent breakdown of the ordinary drift-diffusion model. In the presence of a spin accumulation comparable to the carrier density, Eq. 5 must be modified to prevent the spin polarization from achieving non-physical values $> 100\%$. Physically, the model parameters themselves become functions of the spin polarization, and the assumption of linear response breaks down [67]. To be specific, it becomes necessary to specify the diffusion constants and spin relaxation rates separately for minority and majority spin carriers, i.e.,

\[
\tau_{\uparrow\downarrow}^{-1} \neq \tau_{\downarrow\uparrow}^{-1} \neq \tau_{\uparrow\uparrow}^{-1}/2 \quad \text{and} \quad D_{\uparrow} \neq D_{\downarrow} \neq D_0, \quad \text{where} \quad \tau_{\uparrow\uparrow}^{-1} \quad \text{and} \quad D_0 \quad \text{are the equilibrium spin relaxation rate and diffusion constant, respectively [68].}
\]

We note that for the DP spin relaxation mechanism ($\tau_{\uparrow\downarrow}^{-1} \sim e^{3/2}$) in $n$-GaAs where $\Pi$ scattering is dominant ($\tau_{\Pi} \sim e^{3/2}$) the spin relaxation rate is a strong function of carrier energy $\epsilon$. The diffusion constant also increases with increasing carrier energy via the Einstein relation (Eq. 6). The mechanisms described above may provide feedback to limit the spin polarization in the large spin polarization regime via more efficient spin diffusion and spin relaxation processes compared to the small spin polarization linear-response limit. If this were the case, then the injector current polarization required to achieve a given spin accumulation would be larger than that calculated under the assumption of linear response.

\[ V. \ CONCLUSIONS \]

In conclusion, we have explored several aspects of spin transport in epitaxial FM/$n$-GaAs spin valves over a wide range of temperature and bias conditions. Because these devices are based on Schottky tunnel barriers, both the injection and detection efficiencies depend on the bias. We have exploited this property to enhance the sensitivity to spin accumulation by applying a bias current to the detector in the nonlocal configuration. Although the mechanism for the enhancement is not well-understood (except for the role of drift), this approach enables detection of spin accumulation up to room temperature. At injector current densities of $10^{3}$ A/cm$^2$ nonlocal voltages of order $\sim$$1$ mV are detected at low temperature, which fall to $\sim$$40$ µV at room temperature. This approach has enabled measurements of the spin relaxation rate and diffusion length over the entire temperature range, and good agreement is obtained with a model based on the Dyakonov-Perel spin relaxation mechanism. At the lowest temperatures, however, the standard drift-diffusion model appears to break down because of the large spin accumulation, which is comparable to the carrier density. At high temperatures, the devices are limited by the rapidly increasing spin relaxation rate, although the injected current polarization also decreases by a factor of three between 20 K and room temperature.

The devices discussed in this paper are based on Heusler alloys, which are predicted to have a high spin polarization and grow epitaxially on GaAs (001). There is sufficient uncertainty in the derived values of the detection efficiency and injected current polarization that it is not possible to make a statement about the polarization of the Co$_2$FeSi injector beyond the lower bound (30%) set by the size of the nonlocal voltage at the lowest temperature. As suggested by the bias dependence, there is likely a significant contribution to the tunnelling current from interface states, a property that is shared by the epitaxial Fe/GaAs system [54]. Although these important details still need to be resolved, this work demonstrates...
that epitaxial FM/III-V heterostructures can be used to probe spin transport at room temperature.

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