Measurement of inelastic, single- and double-diffraction cross sections in proton–proton collisions at the LHC with ALICE

The ALICE Collaboration

This publication is dedicated to the memory of our colleague A.B. Kaidalov who recently passed away.

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Abstract Measurements of cross sections of inelastic and diffractive processes in proton–proton collisions at LHC energies were carried out with the ALICE detector. The fractions of diffractive processes in inelastic collisions were determined from a study of gaps in charged particle pseudorapidity distributions; for single diffraction (diffractive mass \(M_X < 200 \text{ GeV}/c^2\)) \(\sigma_{\text{SD}}/\sigma_{\text{INEL}} = 0.21 \pm 0.03, 0.20^{+0.07}_{-0.08}\), and \(0.20^{+0.04}_{-0.07}\), respectively at centre-of-mass energies \(\sqrt{s} = 0.9, 2.76,\) and 7 TeV; for double diffraction (for a pseudorapidity gap \(\Delta \eta > 3\)) \(\sigma_{\text{DD}}/\sigma_{\text{INEL}} = 0.11 \pm 0.03, 0.12 \pm 0.05\), and \(0.12^{+0.05}_{-0.04}\), respectively at \(\sqrt{s} = 0.9, 2.76,\) and 7 TeV. To measure the inelastic cross section, beam properties were determined with van der Meer scans, and, using a simulation of diffraction adjusted to data, the following values were obtained: \(\sigma_{\text{INEL}} = 62.8^{+2.4}_{-4.0} \text{(model)} \pm 1.2\text{(lumi)} \text{mb}\) at \(\sqrt{s} = 2.76 \text{ TeV}\) and \(73.2^{+2.0}_{-4.6} \text{(model)} \pm 2.6\text{(lumi)} \text{mb}\) at \(\sqrt{s} = 7 \text{ TeV}\). The single- and double-diffractive cross sections were calculated combining relative rates of diffraction with inelastic cross sections. The results are compared to previous measurements at proton–antiproton and proton–proton colliders at lower energies, to measurements by other experiments at the LHC, and to theoretical models.

1 Introduction

The cross sections of inelastic and diffractive processes in proton–proton (pp) collisions are among the basic observables used to characterize the global properties of interactions, and thus are always a subject of interest at a new centre-of-mass energy. The behaviour of hadronic cross sections at high energies is usually described in the framework of Regge theory [1–3] and its various QCD-inspired interpretations [4, 5]. As these collisions are dominated by relatively small-momentum transfer processes, such measurements contribute to the theoretical understanding of QCD in the non-perturbative regime. Recent developments in the field can be found in Refs. [6–18]. As the LHC explores hadron collisions at centre-of-mass energies (up to \(\sqrt{s} = 7 \text{ TeV}\) used in the present analysis), corresponding to laboratory energies between \(4 \times 10^{14}\) and \(2.6 \times 10^{16} \text{ eV}\), close to the knee (\(10^{15}–10^{16} \text{ eV}\)) observed in the energy distribution of cosmic rays, these measurements are also relevant in this context.

It is customary to distinguish two contributions to the inelastic cross section: diffractive processes and non-diffractive processes. At a centre-of-mass energy \(\sqrt{s} = 1.8 \text{ TeV}\), at the Tevatron, diffractive processes (single and double diffraction combined) represent about 25 % of inelastic collisions [19, 20]. At LHC energies, it is expected that diffractive processes also account for a large fraction of the inelastic cross section.

When presenting LHC measurements such as particle momentum distributions, cross sections, etc. for Non-Single Diffractive (NSD) or Inelastic (INEL) event classes, the uncertainty on the diffractive processes may dominate the overall systematic error (see, for instance, Ref. [21]). Therefore, it is essential to measure, as precisely as possible, the properties of these processes. In addition, the nucleon–nucleon inelastic cross section is a basic parameter used as an input for model calculations to determine the number of participating nucleons and the number of nucleon–nucleon binary collisions for different centrality classes in heavy-ion collisions [22], the main focus of the ALICE scientific programme. This publication reports measurements of inelastic pp cross sections with a precision better than 6 %, and emphasizes the importance of diffraction processes in such measurements.
The ALICE detector was used to measure the properties of gaps in the pseudorapidity distribution of particles emitted in pp collisions, in order to estimate the relative contributions of diffractive processes. This publication is organized as follows: in Sect. 2 we discuss diffractive processes and explain the definitions of diffraction adopted in this article; Sect. 3 gives a short description of the ALICE detector elements relevant to this study, and describes the data samples used here and data-taking conditions; Sect. 4 presents relative rates of diffractive processes as measured from a pseudorapidity gap analysis, used to adjust these rates in the Monte Carlo event generators; Sect. 5 discusses van der Meer beam scans, used to determine the LHC luminosity and the cross section corresponding to the trigger selection; in Sect. 6, the simulation adjusted with our measurement is used to determine the inelastic cross section from the measured trigger cross section, and in turn the cross sections for diffractive processes; finally a comparison is made between the ALICE cross section measurements and data from other experiments. The results are also compared with predictions from a number of models.

2 Diffraction

2.1 Diffractive processes

In Regge theory at high energies, diffraction proceeds via the exchange of Pomerons (see Refs. [1–3]). The Pomeron is a colour singlet object with the quantum numbers of the vacuum, which dominates the elastic scattering amplitude at high energies. The Feynman diagrams corresponding to one-Pomeron exchange in elastic, single- and double-diffraction processes are shown in Fig. 1. Single- and double-diffraction processes, \( p + p \to p + X \) and \( p + p \to X_1 + X_2 \), where \( X \) (\( X_1, X_2 \)) represent diffractive system(s), are closely related to small-angle elastic scattering. These processes can be considered as binary collisions in which either or both of the incoming protons may become an excited system, which decays into stable final-state particles. Single Diffraction (SD) is similar to elastic scattering except that one of the protons breaks up, producing particles in a limited rapidity region. In Double Diffraction (DD), both protons break up.

In SD processes, there is a rapidity gap between the outgoing proton and the other particles produced in the fragmentation of the diffractive system of mass \( M_X \) (Fig. 2 middle). For high masses, the average gap width is \( \Delta \eta \simeq \Delta y \simeq \ln(s/M_X^2) = -\ln \xi \), where \( \xi = M_X^2/s \). Typically, at \( \sqrt{s} = 7 \) TeV, \( \Delta \eta \) varies from 13 to 7 for \( M_X \) from 10 to 200 GeV/c². In DD processes, there is a rapidity gap between the two diffractive systems (Fig. 2 right). The average gap width in this case is \( \Delta \eta \simeq \Delta y \simeq \ln(s_{01}/M_{X_1}^2 M_{X_2}^2) \), where the energy scale \( s_0 = 1 \) GeV², and \( M_{X_1}, M_{X_2} \) are the diffractive-system masses. Typically, at \( \sqrt{s} = 7 \) TeV, one expects \( \Delta \eta \simeq 8.5 \) for \( M_{X_1} = M_{X_2} = 10 \) GeV/c².

Experimentally, there is no possibility to distinguish large rapidity gaps caused by Pomeron exchange from those caused by other colour-neutral exchanges (secondary Reggeons), the separation being model-dependent. Therefore, in this study, diffraction is defined using a large rapidity gap as signature, irrespective of the nature of the exchange. SD processes are those having a gap in rapidity from the leading proton limited by the value of the diffractive mass \( M_X < 200 \) GeV/c² on the other side (i.e. at \( \sqrt{s} \geq 7 \) TeV, \( \Delta \eta \gtrsim 7 \)); other inelastic events are considered as NSD. The choice of the upper \( M_X \) limit corresponds approximately to the acceptance of our experiment and was used in previous measurements [23]. DD processes are defined as NSD events with a pseudorapidity gap \( \Delta \eta > 3 \) for charged particles. The same value was used for separation between DD and Non-Diffractive (ND) processes in another measurement [24].

2.2 Simulation of diffraction

Diffraction processes are described by the distribution of the mass (or masses) of the diffractive system(s), the scattering angle (or the four-momentum transfer \( -t \)), and the
diffractive collisions. The results depend only weakly on the assumption made for the distribution in $t$, and in all models, calculating acceptance and efficiency corrections, we integrated over this dependence. The $t$-distribution and fragmentation of diffractive systems are simulated with the PYTHIA6 (Perugia-0, tune 320) [25–27] and PHOJET [28] Monte Carlo generators. Both PYTHIA6 and PHOJET Monte Carlo generators give a reasonable description of UA4 data [29] on charged particle pseudo-rapidity distributions, we integrated over this dependence. The $t$-distribution and fragmentation of diffractive systems are simulated with the PYTHIA6 (Perugia-0, tune 320) [25–27] and PHOJET [28] Monte Carlo generators. Both PYTHIA6 and PHOJET Monte Carlo generators give a reasonable description of UA4 data [29] on charged particle pseudo-rapidity distribution in SD events.

The main source of uncertainty in the simulation of diffractive collisions comes from the uncertainty on the $M_X$ distribution (see, for example, the discussion in [30]). In Regge theory, in the single Regge pole approximation, the SD cross section $(d\sigma/dM_X)$ for producing a high-mass system, $M_X$, is dominated by the diagram shown in Fig. 3. In the general case, each of the legs labeled $(R_1R_2)R_3$, can be a Pomeron $P$ or a secondary Reggeon $R$ (e.g. the $f$-trajectory) [1–3]. At very high energies, the SD process is dominated by the $(PP)P$ and $(PP)R$ terms, which have similar energy dependence, but a different $M_X$ dependence. The $(PP)P$ term is proportional to $1/M_X^{1+2\Delta}$ and the $(PP)R$ term to $1/M_X^{2+4\Delta}$, where $\Delta = \alpha_P - 1$, with $\alpha_P$ the intercept of the Pomeron trajectory. The $(PP)P$ term dominates the process at very low mass, but vanishes at higher masses ($M_X^2 > s_0$), because the corresponding Regge trajectory has intercept smaller than unity.

In both the PYTHIA6 and PHOJET generators, the diffractive-mass distribution for the SD processes is close to $1/M_X$ (Fig. 4), which corresponds to the $(PP)P$ term with $\Delta = 0$. However, experimental data show that at low masses the dependence is steeper than $1/M_X$. This is discussed, for example, in publications by the CDF collaboration [19, 20], and supports the values of $\Delta > 0$ and also the above theoretical argument for inclusion of terms other than $(PP)P$. A recent version of PYTHIA having a steeper $M_X$ dependence at low masses, PYTHIA8 [31], uses an approximation with a $1/M_X^{1+2\Delta}$ dependence with $\Delta = 0.085$, based on the $(PP)P$ term in the Donnachie–Landshoff model [32]. For this study the $M_X$ distributions in PYTHIA6 and PHOJET were modified so as to use the distributions from model [18] (Fig. 4), which includes in the calculation of

![Fig. 3 Triple-Reggeon Feynman diagram occurring in the calculation of the amplitude for single diffraction, corresponding to the dissociation of hadron $b$ in the interaction with hadron $a$ (see Refs. [1–3]). Each of the Reggeon legs can be a Pomeron or a secondary Reggeon (e.g. $f$-trajectory), resulting in eight different combinations of Pomerons and Reggeons. In the text, we use the notation $(R_1R_2)R_3$ for the configuration shown in this figure.](image)

![Fig. 4 Diffractive-mass distributions, normalized to unity, for the SD process in pp collisions at $\sqrt{s} = 0.9$ TeV (left) and $\sqrt{s} = 7$ TeV (right), from Monte Carlo generators PYTHIA6 (blue histogram), PHOJET (red dashed-line histogram), and model [18] (black line)—used in this analysis for central-value estimate. The shaded area around the black line is delimited by (above at lower masses, below at higher masses) variation of the model [18], multiplying the distribution by a linear function which increases the probability at the threshold mass by a factor 1.5 (keeping the value at upper-mass cut-off unchanged, and then renormalizing the distribution back to unity), and by (below at lower masses, above at higher masses) Donnachie–Landshoff parametrization [32]. This represents the variation used for systematic-uncertainty estimates in the present analysis. A $1/M_X$ line is shown for comparison (magenta dotted-dashed line). At $\sqrt{s} = 7$ TeV (right) black dashed-lines show $1/M_X^{1+2\Delta}$ distributions with $\Delta = 0.085$ and 0.1 also used with PYTHIA event generator in the ATLAS measurement of inelastic cross section [34].](image)
the SD cross section all eight terms contributing to the diagram of Fig. 3. Their relative contributions are determined from a fit to lower-energy data. The predictions of this model for the total, elastic, and diffractive cross sections at LHC energies [33] are found to be consistent with measurements [34–36]. The modification of PYTHIA6 and PHOJET consists in reproducing the model calculations with model [6–8]. Thanks to the collaboration of measurements [34–36]. The modification of PYTHIA6 and PHOJET means that these event generators are used with the modified diffractive-mass distribution, and the modified relative rate of diffractive processes.

In order to estimate the systematic errors coming from the uncertainty in the functional shape of the $M_X$ dependence, the following modifications were used: the model distribution was multiplied by a linear function $aM_X + b$, which is equal to unity at the upper diffractive-mass value $M_X = 200 \text{ GeV}/c^2$ and is equal to 0.5 or 1.5 at the diffractive-mass threshold, i.e. $M_X \approx 1.08 \text{ GeV}/c^2$ (sum of proton and pion masses). A linear function was chosen because it is the simplest way to vary the relative fractions of low-mass (or non detected) and high-mass (or detected) single diffractive events. The resulting variation is illustrated in Fig. 4, where the diffractive-mass distributions are normalized to have the integral between threshold and $M_X = 200 \text{ GeV}/c^2$ equal to unity. The influence of the change of the $M_X$ dependence on the SD rate is given roughly by the variation of the yield in the high-$M_X$ region (above $\pm 10 \text{ GeV}/c^2$, where the events are measured) relative to that in the low-$M_X$ region (where an extrapolation has to be used). The distribution from the Donnachie–Landshoff model [32] was also used in the evaluation of the systematic uncertainties due to the extrapolation to low-$M_X$ region. The ATLAS collaboration, in their measurement of the SD rate, is the coordinate along the beam line, with its origin at the centre of the ALICE barrel detectors, oriented in the direction opposite to the muon arm [39]. Each hodoscope is segmented into eight equal azimuthal angle ($\varphi$) sectors and four equal pseudorapidity $\eta$ rings. This implies that the pseudorapidity resolution is similar to that required for the binning ($\delta \eta = 0.5$) used for the analysis. The time resolution of each hodoscope is better than 0.5 ns.

The two VZERO hodoscopes, with 32 scintillator tiles each, are placed on each side of the interaction region at $z \approx 3.3 \text{ m (V0-R)}$ and $z \approx -0.9 \text{ m (V0-L)}$, covering the pseudorapidity ranges $2.8 < \eta < 5.1$ and $-3.7 < \eta < -1.7$, respectively ($\eta$ is the coordinate along the beam line, with its origin at the centre of the ALICE barrel detectors, oriented in the direction opposite to the muon arm [39]). Each hodoscope is segmented into eight equal azimuthal angle ($\varphi$) sectors and four equal pseudorapidity $\eta$ rings. This implies that the pseudorapidity resolution is similar to that required for the binning ($\delta \eta = 0.5$) used for the analysis. The time resolution of each hodoscope is better than 0.5 ns.

The SPD makes up the two innermost layers of the ALICE Inner Tracking System (ITS) and it covers the pseudorapidity ranges $|\eta| < 2$ and $|\eta| < 1.4$, for the inner and outer layers respectively. The SPD has in total about $10^7$ sensitive pixels on 120 silicon ladders which were aligned using pp collision data to a precision of 8 $\mu$m. The SPD can also be used to provide the position of the interaction vertex by correlating hits in the two silicon-pixel layers to obtain track elements called tracklets. The resolution achieved on the position of the vertex from the SPD is slightly worse than that from the vertex from tracks reconstructed with the TPC and the whole ITS. It depends on the track multiplicity and is approximately 0.1–0.3 mm in the longitudinal direction and 0.2–0.5 mm in the direction transverse to the beam.
line. If the vertex from reconstructed tracks is not available, the vertex from the SPD is used.

The FMD consists of Si-strip sensors with a total of above 5 × 10^4 active detection elements, arranged in five rings perpendicular to the beam direction, covering the pseudorapidity ranges −3.4 < η < −1.7 (FMD-3) and 1.7 < η < 5.1 (FMD-1 and FMD-2). Combining VZERO, SPD and FMD, ALICE has a continuous acceptance over a pseudorapidity interval of 8.8 units.

3.2 Event samples and data-taking conditions

ALICE data were collected at three centre-of-mass energies (√s = 0.9, 2.76, and 7 TeV), at low beam current and low luminosity, hence corrections for beam backgrounds and event pileup in a given bunch crossing are small. The maximum average number of collisions per bunch crossing was 0.1 at √s = 7 TeV.

The minimum-bias data used for the diffractive study were collected using the trigger condition MBOR, which requires at least one hit in the SPD or in either of the VZERO arrays. This condition is satisfied by the passage of a charged particle anywhere in the 8 units of pseudorapidity covered by these detectors.

For the van der Meer scan measurements, the trigger requirement was a time coincidence between hits in the two VZERO scintillator arrays, V0-L and V0-R, MBAND.

Control triggers taken for various combinations of filled and empty bunch buckets were used to measure beam-induced background and accidental triggers due to electronic noise or cosmic showers. Beam backgrounds were removed offline using two conditions. First, VZERO counter timing signals, if present, had to be compatible with particles produced in collisions. Second, the ratio of the number of SPD clusters to the number of SPD tracklets is much higher in background events than in beam–beam collisions, thus a cut on this ratio was applied. The latter condition was adjusted using beam-background events selected with VZERO detector. The remaining background fraction in the sample was estimated from the number of control-trigger events that passed the event selection. It was found to be negligible for the three centre-of-mass energies, except in the case of the van der Meer scan at √s = 2.76 TeV at large displacements of the beams, as discussed in Sect. 5.

At each centre-of-mass energy, several data-taking runs were used, with different event pileup rates, in order to correct for pileup, as described below. For the measurement of the inelastic cross sections, runs were chosen to be as close in time as possible to the runs used for the van der Meer scans in order to ensure that the detector configuration had not changed.

At √s = 0.9 TeV, 7 × 10^6 events collected in May 2010 were used for diffractive studies. No van der Meer scan was performed at this energy, hence the inelastic cross section was not measured by ALICE.

At √s = 7 TeV, 75 × 10^6 events were used for diffractive studies, and van der Meer scans were performed five months apart during the pp data-taking period (scan I in May 2010, scan II in October 2010).

The data at √s = 2.76 TeV were recorded in March 2011, at an energy chosen to match the nucleon–nucleon centre-of-mass energy in Pb–Pb collisions collected in December 2010. For diffraction studies, 23 × 10^6 events were used. One van der Meer scan was performed (scan III in March 2011). Because of a technical problem the FMD was not used in diffraction measurement at this energy, resulting in a larger systematic uncertainty in diffractive cross-section measurements at this energy.

4 Measurement of relative rates of diffractive processes

4.1 Pseudorapidity gap study

For this study the events were selected by the hardware trigger MBOR followed by the ALICE offline event selection described in Sect. 3. The pseudorapidity distribution of particles emitted in the collision is studied by associating the event vertex with a “pseudo-track” made from a hit in a cell of the SPD, of the VZERO or of the FMD detector. In the case of VZERO, the cells are quite large (δη about 0.5), so for this detector hits were distributed randomly within the cell pseudorapidity coverage.

Note that the effective transverse-momentum threshold for the pseudo-track detection is very low (about 20 MeV/c). It is practically pseudo-rapidity independent and determined by the energy loss in the material. This implies that our detector misses only a very small fraction of particles.

The vertex is reconstructed using information from the ITS and TPC, if possible. If it is not possible to form a vertex in this way, a position is calculated using the SPD alone. If this is also not possible (as it occurs in 10 % of cases), then a vertex is generated randomly using the measured vertex distribution. Such cases occur mainly where there is no track in the SPD and hit information is in the VZERO or FMD detectors only.

In the analysis described below, we separate the events into three categories, called “1-arm-L”, “1-arm-R” and “2-arm”. The purpose of the classification is to increase the sensitivity to diffractive processes. As will be described below, the categories 1-arm-L and 1-arm-R have an enriched single-diffraction component, while a subset of the 2-arm category can be linked to double diffraction.

We distinguish between “one-track” events and those having more than one track, i.e. “multiple-track” events. Let η_L, η_R be the pseudorapidities of the leftmost (lowest-pseudorapidity) and rightmost (highest-pseudorapidity) pseudo-tracks in the distribution, respectively. If an event
has just one pseudo-track, then $\eta_L = \eta_R$. We classify as one-track events all events satisfying the condition $\eta_R - \eta_L < 0.5$ and having all pseudo-tracks within 45° in $\varphi$. For such events, we determine the centre of the pseudorapidity distribution as $\eta_C = \frac{1}{2}(\eta_L + \eta_R)$, and

(i) if $\eta_C < 0$ the event is classified as 1-arm-L;
(ii) if $\eta_C > 0$ the event is classified as 1-arm-R.

The multi-track events are classified in a different way. For these events, we use the distance $d_L$ from the track with pseudorapidity $\eta_L$ to the lower edge of the acceptance, the distance $d_R$ from the track with pseudorapidity $\eta_R$ to the upper edge of the acceptance, and the largest gap $\Delta \eta$ between adjacent tracks (see Fig. 5). Then,

(i) if the largest gap $\Delta \eta$ between adjacent tracks is larger than both $d_L$ and $d_R$, the event is classified as 2-arm;
(ii) if both of the edges $\eta_L$, $\eta_R$ of the pseudo-rapidity distribution are in the interval $-1 \leq \eta \leq 1$, the event is classified as 2-arm;
(iii) otherwise, if $\eta_R < 1$ the event is classified as 1-arm-L, or if $\eta_L > -1$ the event is classified as 1-arm-R;
(iv) any remaining events are classified as 2-arm.

The ALICE Monte Carlo simulation consists of four main stages: (a) event generation; (b) transport through material; (c) detector simulation, and (d) event reconstruction. In Figs. 6 and 7, we compare gap properties between data and Monte Carlo simulation after event reconstruction (stage d).

In Fig. 6 left, the gap width distribution for 2-arm events is compared to simulations with and without DD, to illustrate the sensitivity to the DD fraction. The gap width distribution at large $\Delta \eta$ cannot be described by simulations without DD. However, the default DD fraction in PYTHIA6 significantly overestimates the distribution of large pseudorapidity gaps, while the default DD distribution in PHOJET significantly underestimates it. Adjustments to these fractions can bring the predictions of the two generators into better agreement with the data, and lead to a method to estimate the DD fraction. A similar approach was employed by the CDF collaboration [24]. The DD fractions in PYTHIA6 and PHOJET were varied in steps so as to approach the measured distribution. The aim of the adjustment is to bracket the data. At the end of the adjustment the PYTHIA6 data still overestimate the data, and the PHOJET data underestimate it, but the agreement between data and Monte Carlo is brought to 10 % for the bin in closest agreement above $\Delta \eta = 3$ (see Fig. 6 right). Further adjustment leads to a deterioration in
Fig. 7 Comparison of reconstructed data versus adjusted Monte Carlo simulations (stage d), at $\sqrt{s} = 7$ TeV. For 2-arm event class (top), pseudorapidity distributions of centre position ($\eta_{gC}$) of the largest pseudorapidity gap; distribution for 1-arm-L (middle) and 1-arm-R (bottom) event classes, respectively of the pseudorapidity of the right edge ($\eta_R$) and left edge ($\eta_L$) of the pseudorapidity distribution.

The shape of the $\Delta\eta$ distribution. The mean value between the PYTHIA6 and PHOJET estimates is taken as the best estimate for the DD fraction, and the spread between the two contributions, integrated over $\Delta\eta > 3$, is taken as a measure of the model error.

Once the value for the DD fraction has been chosen, and its associated error estimated as described above, the measured 1-arm-L(R) to 2-arm ratios, which have negligible statistical errors, can be used to compute the SD fractions and their corresponding errors. For this purpose the efficiencies for the SD and NSD events to be detected as 1-arm-L(R) or 2-arm classes have to be known. The determination of these efficiencies is described later in this section. A similar method was used by the UA5 collaboration in their measurement of diffraction [23]. In practice, we handle the L-side and R-side independently and the SD fractions are determined separately for L-side and R-side single diffraction.

In summary, three constraints from our measurements, the two 1-arm-L(R) to 2-arm ratios and the additional constraint obtained from the gap width distribution (Fig. 6 right), are used to compute the three fractions for DD events, L-side SD, and R-side SD events. The sum of the two latter values is then used to estimate the SD fraction of the overall inelastic cross-section. This way the Monte Carlo event generators PYTHIA6 and PHOJET are adjusted using the experimental data, and this procedure is repeated for different assumptions about the diffractive-mass distribution for SD processes, as discussed in Sect. 2.

For the $\sqrt{s} = 2.76$ TeV run, the FMD was not used in the analysis, resulting in a gap in the detector acceptance, so the fraction of DD events in the Monte Carlo generators was not adjusted using the gap distribution for this energy. The resulting DD fraction of the inelastic cross section, however, was modified due to the adjustment of the SD fraction and the experimental definition of DD events. This results in a larger systematic error on the measured DD cross section at this energy.

In Fig. 7 we compare other pseudorapidity distribution properties after event generator adjustment. In addition to the quantities defined above, we use in this comparison the centre position $\eta_{gC}$ of the $\Delta\eta$ pseudorapidity gap. The observed basic features of the edges of pseudorapidity distributions and gaps are reasonably well reproduced by the adjusted simulations for $|\eta| \geq 1.5$, and more accurately for $|\eta| \leq 1.5$. Figure 7 shows the $\sqrt{s} = 7$ TeV case for illustration. The agreement between data and simulation is similar at $\sqrt{s} = 0.9$ and 2.76 TeV.

We note that there is less material in the R-side of the ALICE detector. With the adjusted Monte-Carlo generators we have obtained a good description for the 1-arm-R event class. On the L-side, there is more material between VO-L and the interaction point and the distribution of material is not as precisely known as on the other side. For this reason we have used a larger error margin in our study of the corresponding systematic uncertainty.
Several tests were made to ensure that the material budget and the properties of the detectors do not modify the correlations between observables and rates of diffractive processes to be measured. The material budget was varied in the simulation by ±10 % everywhere, and by +50 % in the forward region only (|η| > 1). In both cases this did not modify the gap characteristics significantly. The maximum effect is for the largest Δη bins in 2-arm events, and is still less than 10 %. The effect was found to be negligible for triggering and event classification efficiencies. In the region |η| ≤ 1 the material budget is known to better than 5 %. In order to assess the sensitivity of the results to details of the detector-response simulation, the properties of the pseudorapidity distribution and gaps were also studied with the simulation output after stage b (particle transport without detector response, using ideal hit positions). Only negligible differences between ideal and real detectors were found.

The MBOR trigger covers the pseudorapidity range between -3.7 and 5.1 except for a gap of 0.8 units for 2.0 < η < 2.8, which results in a small event loss. The proportion of events lost was estimated by counting the number of events having tracks only in the corresponding interval on the opposite pseudorapidity side; the fraction loss of MBOR triggers was found to be below 10⁻³.  

4.2 Relative rate of single diffraction

The detection efficiencies for SD processes corresponding to the different event classes, obtained with PYTHIA6 at \( \sqrt{s} = 0.9 \) and 7 TeV, are illustrated in Fig. 8. For small diffractive masses, the produced particles have pseudorapidities close to that of the diffracted proton, therefore, such events are not detected. Increasing the mass of the diffractive system broadens the distribution of emitted particles, and the triggered events are classified mostly as 1-arm-L or 1-arm-R class. Increasing the diffractive mass still further results in a substantial probability of producing a particle in the hemisphere of the recoiling proton, and indeed for masses above \( \sim 200 \text{ GeV}/c^2 \) such events end up mainly in the 2-arm class. Because of multiplicity fluctuations and detection efficiencies, it is also possible for a SD event to be classified in the opposite side 1-arm-R(L) class, albeit with a small probability (see Fig. 8). Masses above \( \sim 200 \text{ GeV}/c^2 \) end up mainly in the 2-arm class, at all three energies. For this study, we have chosen \( M_X = 200 \text{ GeV}/c^2 \).
parameterize the diffractive mass distribution. For example, at the final results for the inelastic cross section, provided the (MX as the boundary between SD and NSD events. Changing the beam background, electronics noise, and collision pileup. The total Corrected ratios include corrections for detector acceptance, efficiency, Measured 1-arm-L(R) to 2-arm ratios, and corresponding Table 2

| √s (TeV) | Process | 1-arm-L | 1-arm-R | 2-arm |
|----------|---------|---------|---------|-------|
| 0.9      | SD L-side | 0.352±0.044 | 0.004±0.005 | 0.201±0.10 |
|          | SD R-side | 0.002±0.002 | 0.46±0.015 | 0.198±0.054 |
|          | NSD      | 0.012±0.004 | 0.025±0.007 | 0.956±0.014 |
| 2.76     | SD L-side | 0.301±0.115 | 0.003±0.003 | 0.073±0.027 |
|          | SD R-side | 0.002±0.002 | 0.398±0.104 | 0.087±0.071 |
|          | NSD      | 0.017±0.01  | 0.026±0.008 | 0.946±0.029 |
| 7        | SD L-side | 0.243±0.17  | 0.0007±0.001 | 0.044±0.032 |
|          | SD R-side | 0.0002±0.0002 | 0.333±0.121 | 0.039±0.034 |
|          | NSD      | 0.013±0.003 | 0.022±0.006 | 0.952±0.014 |

Table 2 Measured 1-arm-L(R) to 2-arm ratios, and corresponding ratio of SD to INEL cross sections for three centre-of-mass energies. Corrected ratios include corrections for detector acceptance, efficiency, beam background, electronics noise, and collision pileup. The total corresponds to the sum of SD from the L-side and the R-side. The errors shown are systematic uncertainties. In the 1-arm-L(R) to 2-arm ratio, the uncertainties come from the estimate of the beam background. The uncertainty on the cross section ratio comes mainly from the efficiency error listed in Table 1. In all cases statistical errors are negligible as the boundary between SD and NSD events. Changing the upper diffractive-mass limit in the definition of SD from \( M_X = 200 \text{ GeV}/c^2 \) to \( M_X = 50 \text{ GeV}/c^2 \) or 100 GeV/c^2 at both \( \sqrt{s} \) = 0.9 and 7 TeV does not make a difference to the final results for the inelastic cross section, provided the data are corrected using the same model as that used to parameterize the diffractive mass distribution. For example, at \( \sqrt{s} = 0.9 \) TeV, if SD is defined for masses \( M_X < 50 \text{ GeV}/c^2 \) \( (M_X < 100 \text{ GeV}/c^2) \), the measured SD cross section decreases by 20 % (10 %), which agrees with the predictions of the model [18] used for corrections.

The efficiencies, obtained as the average between the adjusted PYTHIA6 and PHOJET values for three processes (L-side SD, R-side SD, and NSD events) and for each event class are listed in Table 1 for the three energies under study. As these efficiencies depend on the adjustment of the event generators are in turn used for the adjustment, one iteration was needed to reach the final values, as well as the final adjustment. The systematic errors in Table 1 include an estimate of the uncertainty from the diffractive-mass distribution, and take into account the difference of efficiencies between the two Monte Carlo generators and the uncertainty in the simulation of the detector response. The uncertainty in the material budget is found to give a negligible contribution. In order to estimate the systematic error due to the uncertainty on the diffractive-mass distribution, the dependence of the cross section on diffractive mass from the model [18] was varied as described in Sect. 2, and, in addition, the diffractive-mass distribution from the Donnachie-Landshoff model [32] was used.

The raw numbers of events in the different classes were corrected for collision pileup by carrying out measurements for various runs with different average number of collisions per trigger. The relative rates of SD events (cross-section ratios), Table 2, are calculated from the measured ratios of 1-arm-L(R) to 2-arm class events for a given DD fraction, which was adjusted as described above in this section. Even though the two sides of the detector are highly asymmetric and have significantly different acceptances, they give SD cross section values that are consistent. Table 2, which serves as a useful cross-check for the various corrections.
Table 3 MBAND and MBOR trigger efficiencies obtained from the adjusted Monte Carlo simulations; comparison of the measured and simulated trigger ratios MBAND/MBOR at $\sqrt{s} = 0.9, 2.76$ and 7 TeV. Errors shown are systematic uncertainties calculated in a similar way to that for Table 1, statistical errors are negligible

| $\sqrt{s}$ (TeV) | MBAND (%) | MBOR (%) | MBAND/MBOR |
|------------------|------------|----------|-------------|
|                  | Measured   | Simulated|              |
| 0.9              | 76.3$_{-0.8}^{+2.2}$ | 91.0$_{-1.0}^{+3.2}$ | 0.8401 $\pm$ 0.0004 | 0.839$^{+0.006}_{-0.008}$ |
| 2.76             | 76.0$_{-3.5}^{+5.2}$ | 88.1$_{-3.5}^{+5.9}$ | 0.8613 $\pm$ 0.0006 | 0.863$^{+0.02}_{-0.03}$ |
| 7                | 74.2$_{-2.0}^{+5.0}$ | 85.2$_{-3.0}^{+6.2}$ | 0.8727 $\pm$ 0.0001 | 0.871 $\pm$ 0.007 |

Table 4 Cross section ratios of DD with $\Delta\eta > 3$ to inelastic events, at $\sqrt{s} = 0.9, 2.76$ and 7 TeV. The errors shown are systematic uncertainties calculated in a similar way to that for Table 1, in all cases statistical errors are negligible

| $\sqrt{s}$ (TeV) | $\sigma_{DD}/\sigma_{INEL}$ |
|------------------|------------------------------|
| 0.9              | 0.11 $\pm$ 0.03              |
| 2.76             | 0.12 $\pm$ 0.05              |
| 7                | 0.12$^{+0.05}_{-0.04}$       |

The SD fraction obtained at $\sqrt{s} = 0.9$ TeV is found to be consistent with the UA5 measurement for pp collisions [23]. The agreement with the UA5 result is much better if a $1/M_X$ diffractive-mass dependence is used for our correction procedure, as was done for the UA5 measurements.

The MBAND and MBOR trigger efficiencies (Table 3) were obtained from the ALICE simulation, using the adjusted PYTHIA6 and PHOJET event generators. In practice, for each assumption on the diffractive-mass distribution and for each fragmentation model, we determined together the diffractive fractions and the MBAND and MBOR trigger efficiencies for detecting inelastic events.

An important cross-check of the simulation was obtained by comparing the measured and simulated ratios of the MBAND to MBOR rates (Table 3), which were found to be in agreement. The observed ratios were corrected for event pileup, using several runs with different values of the average pileup probability.

4.3 Relative rate of double diffraction

DD events are defined as NSD events with a large pseudorapidity gap. After adjustments, the Monte Carlo generators reproduce the measured gap width distributions (in the pseudorapidity range approximately $-3.7 < \eta < 5.1$) and the event ratios with reasonable accuracy. They may then be used to estimate the fraction of NSD events having a gap $\Delta\eta > 3$ in the full phase space, relative to all inelastic events. These fractions are given in Table 4. This $\Delta\eta$ value was chosen for the separation between DD and ND events in order to facilitate comparison with lower energy data. Note that this DD relative rate includes a contribution from simulated events that were flagged by the event generators as ND. The fraction of such events is model-dependent and differs by a factor of two between PYTHIA6 and PHOJET. Up to 50% of the DD events can be attributed to these ND-simulated events for $\Delta\eta > 3$.

5 van der Meer scans

In order to determine the inelastic cross section, the luminosity has to be measured. The proton bunch current is obtained from induction signals in coils arranged around the beam pipe [43–46], and van der Meer scans of the ALICE beam profiles are used to study the geometry of the beam interaction region.

The trigger condition MBAND was used for this measurement. The rate $dN/dt$ for this trigger is given by

$$\frac{dN}{dt} = A \times \sigma_{INEL} \times \mathcal{L}.$$ 

Here $A$ accounts for the acceptance and efficiency of the MBAND trigger (determined in previous section with adjusted simulations, Table 3). $\sigma_{INEL}$ is the pp inelastic cross-section and $\mathcal{L}$ the luminosity. A simultaneous measurement of the LHC luminosity and the interaction rate determines the cross section $A \times \sigma_{INEL}$ for the MBAND trigger (see Table 5).

The luminosity for a single proton bunch pair colliding at zero crossing angle is given by

$$\mathcal{L} = f N_1 N_2 / h_x h_y,$$

where $f$ is the revolution frequency for the accelerator (11245.5 Hz for the LHC), $N_1$, $N_2$ the number of protons in each bunch, and $h_x$, $h_y$ the effective transverse widths of the interaction region. In practice, the effective width folds in small corrections for a non-zero crossing angle.

The parameters $h_x$ and $h_y$ are obtained from their respective rate-versus-displacement curves as the ratio of the area under the curve to the height at zero displacement. For Gaussian beam profiles

$$h_x = \sqrt{2\pi(\sigma_{1x}^2 + \sigma_{2x}^2)},$$

$$h_y = \sqrt{2\pi(\sigma_{1y}^2 + \sigma_{2y}^2)}.$$
Table 5 For each van der Meer scan, centre-of-mass energy, number of colliding bunches, beam crossing angle, amplitude function at the interaction point ($\beta^*$), average number of collisions per bunch crossing ($\mu$) at zero displacement, beam transverse size r.m.s. ($h_{x,y}/2\sqrt{\pi}$) under the assumption of two identical Gaussian-shape beams, and measured minimum-bias cross section selected by MB$\text{AND}$ triggers with its systematic uncertainty.

| Scan | $\sqrt{s}$ (TeV) | Colliding bunches | Crossing angle (µ rad) | $\beta^*$ (m) | $\mu$ at zero displacement | $h_x/2\sqrt{\pi}$ (µm) | $h_y/2\sqrt{\pi}$ (µm) | $A \times \sigma_{\text{INEL}}$ (mb) |
|------|-----------------|------------------|----------------------|--------------|-------------------------|----------------------|----------------------|--------------------------|
| I    | 7               | 1                | 280                  | 2            | 0.086                   | 44                   | 47                   | 54.2 ± 2.9               |
| II   | 7               | 3.5              | 500                  | 3.5          | 0.74                    | 58                   | 65                   | 54.3 ± 1.9               |
| III  | 2.76            | 10               | 710                  | 10           | 0.12                    | 158                  | 164                  | 47.7 ± 0.9               |

$hy = \sqrt{2\pi(\sigma_{i,y}^2 + \sigma_{2,y}^2)}$.

where $\sigma_{i,y}$ ($i = 1, 2$ indexing the two beams) are the r.m.s. of the beams in the horizontal and vertical directions, respectively. The van der Meer method is, however, valid for arbitrary beam shapes.

The VZERO detectors used to measure the MB$\text{AND}$ rate as a function of the horizontal and vertical displacement have almost constant acceptance during the scan, as the maximum displacement of the beams is 0.4 mm, to be compared to the distance of 0.9 m from the interaction point to the nearest VZERO array. The absolute displacement scale was calibrated by moving both beams in the same direction and measuring the corresponding vertex displacement with the SPD. This contributes with an uncertainty of 1.4 % to the $A \times \sigma_{\text{INEL}}$ measurement.

Three separate scans were used for this analysis, as listed in Table 5. Scans I and II, at 7 TeV, were performed at different times. They have significantly different beam parameters $\epsilon$ (emittance) and $\beta^*$ (interaction point amplitude function), where the transverse beam size $\sigma$ is related to these parameters as $\sigma^2 = \epsilon\beta^*$. Scan II was repeated twice within a few minutes of each other using the same LHC fill. They show that the results of the measurement under near identical conditions are reproducible to within the statistical error of 0.3 %, so the average value was used in Table 5. The displacement curves for scan II are shown in Fig. 9.

Several corrections were applied to the measurements to obtain the final cross sections and errors. The proton bunch intensities were corrected for ghost charge (protons circulating outside bunches) [47] and for satellite charges (protons in subsidiary beam buckets). In addition, the following corrections were applied:

(i) background from beam-halo and beam–gas collisions: negligible for scans I and II, 30 % correction for scan III at maximum separation, leading however to only a 0.1 % correction for the cross section;
(ii) multiple collisions in a single bunch-crossing (pileup): 40 % correction to rate for scan II at zero displacement;
(iii) accidental triggers from noise or from trigger on two separate collisions: a maximum correction of $\sim 0.4$ % for scan II;
(iv) imperfect centering of beams: 0.7 % correction for scan II and negligible correction for scan III;
(v) satellite collisions: these make a contribution to the rate for large $y$ displacements (i.e. 50 % rate correction at 300 µm displacement, giving however only a 0.1 % correction to the cross section);
The contributions to the systematic uncertainty are listed in Table 6. Further details of these luminosity measurements are described in Refs. [48–51].

### 6 Cross-section measurements

#### 6.1 Inelastic cross sections

To obtain the inelastic cross section from the measurement of $A \times \sigma_{\text{INEL}}$, discussed in Sect. 5, one must determine the factor $A$, which represents the MB$_{\text{AND}}$ trigger acceptance and efficiency. The two previously introduced event generators, already adjusted for diffraction, together with the ALICE detector simulation, were used to determine this factor. The average values and their spread for the three energies are indicated in Table 3. The inelastic cross section is recalculated several times, using the two event generators and four prescriptions for diffractive-mass distribution in SD process, as described in Sect. 2. For the two energies, where van der Meer scan measurements are available, the resulting inelastic pp cross sections are:

- $\sigma_{\text{INEL}} = 62.8^{+2.4}_{-4.0} \,(\text{model}) \pm 1.2 \,(\text{lumi}) \, \text{mb} \text{ at } \sqrt{s} = 2.76 \, \text{TeV}$;
- $\sigma_{\text{INEL}} = 73.2^{+2.0}_{-4.6} \,(\text{model}) \pm 2.6 \,(\text{lumi}) \, \text{mb} \text{ at } \sqrt{s} = 7 \, \text{TeV}$.

The central values are the average of the two event generators with $M_X$ dependence given by model [18]. The first uncertainty, labeled as model, is determined from the upper and the lower results obtained using different assumptions. It also contains the influence of the variations in detector simulation described in Sect. 4. However, it is dominated by the model assumptions (event generator, $M_X$ dependence). For both energies the upper limit on the cross-section value is obtained with PHOJET and the $M_X$ dependence from model [18], varied up by 50% at the diffractive-mass threshold, and the lower limit with PYTHIA6 and the Donnachie–Landshoff parametrization [32] of the $M_X$ dependence. The second uncertainty, labeled as lumi, corresponds to the uncertainty in the determination of the luminosity through van der Meer scans, as described in Sect. 5.

The result at $\sqrt{s} = 7 \, \text{TeV}$ is consistent with measurements by ATLAS [34], CMS [35], and TOTEM [36] (Table 7), albeit slightly higher than the ATLAS and CMS values. A comparison of the ALICE results with other measurements at different energies and with models is shown in Fig. 10. The LHC data favour slightly the higher prediction values.

The ATLAS [34] and CMS [37] collaborations published their results for $\sigma_{\text{INEL}}^{x>5 \times 10^{-6}}$, which includes only diffractive events with $M_X = \sqrt{x_s} > 15.7 \, \text{GeV}$. These measurements avoid the extrapolation to the low $M_X$ region, which is the main source of systematic uncertainty on $\sigma_{\text{INEL}}$. In our
Table 7 Inelastic cross section ($\sigma_{\text{INEL}}$) measurements for pp collisions at $\sqrt{s} = 7$ TeV at the LHC

| Experiment | $\sigma_{\text{INEL}}$ (mb) | $\sigma_{\text{INEL}}^{>5 \times 10^{-6}}$ (mb) |
|------------|---------------------------|-------------------------------------|
| ALICE      | $73.2^{+2.0}_{-4.6}$ (model) $\pm 2.6$ (lumi) | $62.1^{+1.0}_{-0.9}$ (syst) $\pm 2.2$ (lumi) |
| ATLAS      | $69.4 \pm 6.9$ (model) $\pm 2.4$ (exp) | $60.3 \pm 0.5$ (syst) $\pm 2.1$ (lumi) |
| CMS        | $68.0 \pm 4.0$ (model) $\pm 2.0$ (syst) $\pm 2.4$ (lumi) | $60.2 \pm 0.2$ (stat) $\pm 1.1$ (syst) $\pm 2.4$ (lumi) |
| TOTEM      | $73.5^{+1.2}_{-1.3}$ (syst) $\pm 0.6$ (stat) | |

Fig. 10 Inelastic cross sections as a function of centre-of-mass energy, in proton–proton or proton–antiproton collisions, compared with predictions [9] (short dot-dashed blue line), [13–17] (dashed green line), [18] (solid black line), [10–12] (long dot-dashed pink line), and [6–8] (dotted red line). LHC data are from ALICE [this publication], ATLAS [34], CMS [35] and TOTEM [36]. Data points for ATLAS, CMS and TOTEM were slightly displaced horizontally for visibility. Data from other experiments are taken from [52–55]

Fig. 11 Single-diffractive cross section as a function of centre-of-mass energy. Data from other experiments are for $M_X^2 < 0.05s$ [59–62]. ALICE measured points are shown with full red circles, and, in order to compare with data from other experiments, were extrapolated to $M_X^2 < 0.05s$ (open red circles), when needed. The predictions of theoretical models correspond to $M_X^2 < 0.05s$ and are defined as in Fig. 10

6.2 Diffractive cross sections

Combining the measurements of the inelastic cross section with the relative rates of diffractive processes, cross sections for single ($M_X < 200$ GeV/c$^2$) and double ($\Delta \eta > 3$) diffraction were obtained:

- $\sigma_{\text{SD}} = 14.9^{+3.4}_{-5.9}$ (syst) mb and $\sigma_{\text{DD}} = 9.0 \pm 2.6$ (syst) mb at $\sqrt{s} = 2.76$ TeV;

The inelastic cross section at $\sqrt{s} = 0.9$ TeV was not measured by ALICE, instead, the value $\sigma_{\text{INEL}} = 52.5^{+2.0}_{-3.3}$ mb was used, which includes the UA5 measurement [57] and a re-analysis of the extrapolation to low diffractive masses [58]. Combining this value with the measured diffraction fraction (Table 2), diffractive cross sections were obtained at $\sqrt{s} = 0.9$ TeV: $\sigma_{\text{SD}} = 11.2^{+1.6}_{-2.1}$ (syst) mb ($M_X < 200$ GeV/c$^2$) and $\sigma_{\text{DD}} = 5.6 \pm 2.0$ (syst) mb ($\Delta \eta > 3$). A summary of diffractive cross sections measured by ALICE is given in Table 8.

A comparison of ALICE diffraction cross section measurements with data at previous colliders and with models is shown in Figs. 11 and 12. In order to facilitate comparison with models, Fig. 11 also includes the SD cross section corrected (extrapolated) to the mass cut-off $M_X < \sqrt{0.05s}$ (i.e. $\xi < 0.05$) at the energies 2.76 and 7 TeV.

A word of caution is needed concerning the comparison of data for SD and DD processes: results from different experiments are corrected in different ways, and also the definitions of SD and DD events are not unique. For example, the CDF collaboration [24] defines DD events to be those with $\Delta \eta > 3$, as does this analysis, but in addition sub-
Table 8 Proton–proton diffractive cross sections measured by ALICE at $\sqrt{s} = 0.9$, 2.76 and 7 TeV. Single diffraction is for $M_X < 200$ GeV/c$^2$ and double diffraction is for $\Delta \eta > 3$. The errors quoted are the total systematic uncertainties. Statistical errors are negligible

| $\sqrt{s}$ (TeV) | $\sigma_{SD}$ (mb) | $\sigma_{DD}$ (mb) |
|-----------------|--------------------|-------------------|
| 0.9             | $11.2^{+1.6}_{-1.1}$ (syst) | $5.6 \pm 2.0$ (syst) |
| 2.76            | $12.2^{+2.9}_{-3.3}$ (syst) $\pm 0.2$ (lumi) | $7.8 \pm 3.2$ (syst) $\pm 0.2$ (lumi) |
| 7               | $14.0^{+3.4}_{-5.9}$ (syst) $\pm 0.5$ (lumi) | $9.0 \pm 2.6$ (syst) $\pm 0.3$ (lumi) |

Fig. 12 Double-diffractive cross section as a function of centre-of-mass energy. The theoretical model predictions represented as lines are for $\Delta \eta > 3$ and are defined as in Fig. 10. Data from other experiments are taken from [63].

Cross section measurements were compared to other measurements at the LHC, to lower energy data, and to predictions from current models [6–18], and are found to be consistent with all of these, within present uncertainties.

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7 Conclusion

A study of gaps in the pseudorapidity distributions of particles produced in pp collisions at the LHC was used to measure the fraction of diffractive events in inelastic pp collisions at $\sqrt{s} = 0.9$, 2.76 and 7 TeV. At $\sqrt{s} = 0.9$ TeV, the ALICE result on diffractive fractions is consistent with the UA5 data for $p\bar{p}$ collisions.

The diffractive study resulted in adjustments to the Monte Carlo generators used for evaluating trigger efficiencies. The adjusted event-generator simulations together with the measurements of the LHC luminosity with van der Meer scans were used to obtain the inelastic proton–proton cross section at $\sqrt{s} = 2.76$ and 7 TeV. The ALICE inelastic cross section result at $\sqrt{s} = 7$ TeV is consistent with those from ATLAS, CMS, and TOTEM.

Combining measured inelastic cross sections with diffraction relative rates, cross sections were obtained for single- and double-diffractive processes.
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