STAR CLUSTER FORMATION AND DESTRUCTION IN THE MERGING GALAXY NGC 3256

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\textbf{ABSTRACT}

We use the advanced camera for surveys on the Hubble Space Telescope to study the rich population of young massive star clusters in the main body of NGC 3256, a merging pair of galaxies with a high star formation rate (SFR) and SFR per unit area ($\Sigma_{\text{SFR}}$). These clusters have luminosity and mass functions that follow power laws, $dn/dL \propto L^\alpha$ with $\alpha = -2.23 \pm 0.07$, and $dn/dM \propto M^\beta$ with $\beta = -1.86 \pm 0.34$ for $\tau < 10$ Myr clusters, similar to those found in more quiescent galaxies. The age distribution can be described by $dn/d\tau \propto \tau^{\gamma}$, with $\gamma \approx -0.67 \pm 0.08$ for clusters younger than about a few hundred million years, with no obvious dependence on cluster mass. This is consistent with a picture where $\sim 80\%$ of the clusters are disrupted each decade in time. We investigate the claim that galaxies with high $\Sigma_{\text{SFR}}$ form clusters more efficiently than quiescent systems by determining the fraction of stars in bound clusters ($\Gamma$) and the $\Sigma_{\text{SFR}}$/SFR statistic ($\text{CMF/SFR}$) for NGC 3256 and comparing the results with those for other galaxies. We find that the $\Sigma_{\text{SFR}}$/SFR statistic for NGC 3256 agrees well with that found for galaxies with $\Sigma_{\text{SFR}}$ and SFRs that are lower by $1\sim 3$ orders of magnitude, but that estimates for $\Gamma$ are only robust when the same sets of assumptions are applied. Currently, $\Gamma$ values available in the literature have used different sets of assumptions, making it more difficult to compare the results between galaxies.

\textbf{Key words:} galaxies: star clusters: general – galaxies: star clusters: individual (NGC 3256) – galaxies: star formation

Supporting material: machine-readable table

1. INTRODUCTION

NGC 3256 is a merging pair of galaxies $\approx 36\text{ Mpc}$ away. Dynamical simulations suggest that the system began interacting $\approx 450\text{ Myr}$ ago, and it has since undergone a period of major star and star cluster formation. It exhibits two tidal tails that are rich with young massive stellar clusters (Knierman et al. 2003; Maybhate et al. 2007; Trancho et al. 2007b; Mulia et al. 2015). The main body of NGC 3256 contains a dense population of clusters, many of which are embedded in the galaxy’s dusty interstellar medium. The galaxy’s intense star formation makes it an extreme environment in which to study cluster formation and destruction.

The cluster population of NGC 3256 has been studied in a number of previous works. Zepf et al. (1999) used $B$ and $I$ band images taken with the Wide Field Planetary Camera 2 on the Hubble Space Telescope (HST) to examine the colors and luminosities of main body clusters. Using the fraction of blue light that they found in clusters, they estimated that the efficiency of cluster formation in NGC 3256 is $\approx 20\%$. Trancho et al. (2007a) performed optical spectroscopy of 23 clusters in the main body of NGC 3256, finding ages of a few to $\sim 150\text{ Myr}$ and masses from $(2-40) \times 10^5 \text{ M}_\odot$. Goddard et al. (2010; hereafter G10) estimated ages and masses of NGC 3256 clusters from $UBVI$ photometry using HST’s Advanced Camera for Surveys (ACS) and estimated the fraction of stars forming in bound clusters, hereafter referred to as $\Gamma$, to be $\Gamma = 22.9\%\pm 3.3\%$. Their method involved estimating the cluster formation rate (CFR), taken from the total mass of clusters younger than $10\text{ Myr}$, and dividing by the galaxy’s star formation rate (SFR).

Some works, including G10, have suggested that there is a correlation between $\Gamma$ and SFR density, $\Sigma_{\text{SFR}}$ (e.g., Silva-Villa & Larsen 2011; Cook et al. 2012), and between $T_L(U)$ (the fraction of $U$ band light contained in clusters) and $\Sigma_{\text{SFR}}$ (Larsen & Richtler 2000; Adamo et al. 2011). These relationships imply that the conditions for cluster formation are not universal, but are dependent on conditions in the host galaxy. Chandar et al. (2015), on the other hand, measured the cluster mass function (CMF) in seven galaxies and found that when normalized by the SFR, these CMFs fall nearly on top of one another. The CMF/SFR statistic implies that cluster formation is similar in many galaxies, regardless of SFR. We estimate both $\Gamma$ and, for the first time, the CMF/SFR statistic, in NGC 3256.

This paper is arranged as follows. Section 2 describes the observations and cluster selection. Section 3 describes the method for obtaining ages and masses of clusters. Section 4 presents the luminosity functions (LFs), age distributions, and mass functions for NGC 3256. In Section 5, we quantify the effects that distance has on the measured LF and age distribution of the clusters. We determine the CMF/SFR statistic and $\Gamma$ from our new NGC 3256 cluster sample in Section 6. We summarize our results and state conclusions in Section 7.

2. OBSERVATIONS, DATA REDUCTION, AND CLUSTER SELECTION

2.1. Observations and Data Reduction

Our observations come from the ACS on HST. NGC 3256 was observed using the filters $F555W$ ($\approx V$ in the Johnson–Cousins system; exposed for 2552 s), $F665N$ (H$\alpha$; 2552 s), and $F330W$ ($\approx U$; 11358 s) as part of the program GO-9735 (PI: Whitmore). The $V$ and $U$ band images were taken in 2003 November using the Wide Field Camera (WFC) and High Resolution Camera (HRC), respectively. The H$\alpha$ observations were taken in 2004 March. WFC observations using $F435W$
(≈B) and F814W (≈I) filters were taken in 2005 November as part of program GO-10592 (PI: Evans) for 1320 and 760 s, respectively.

The raw data were processed through the standard ACS pipeline. The reduced, multidrizzled WFC images were taken from the Hubble Legacy Archive (HLA) and have a scale of 0′′.05 per pixel, while U band images taken with HRC have 0′′.025 per pixel. A BV/Hα color image of NGC 3256 is shown in Figure 1.

2.2. Cluster Selection

We use the IRAF task DAOFIND on the I band image to make an initial catalog of point sources in NGC 3256. Using the PHOT task in IRAF, we run photometry on the B, V, and I band images using an aperture of 3 pixels in radius and a background area between 5 and 8 pixels in radius. For the U band image, we use an aperture radius of 6 pixels and a background area between 10 and 16 pixels, since the HRC has twice the resolution of the WFC. We use the ACS photometric zeropoint calculator to convert instrumental magnitudes to the VEGAMAG system. We use aperture corrections from 3 pixels to infinity in B, V, and I bands taken from isolated star clusters found in the tidal tails of NGC 3256 and reported in Mulia et al. (2015). For the U band aperture correction, we find ~15 isolated bright clusters and measure their mean 6–20 pixel magnitude. We use the encircled energy catalog found in Table 4 of Sirianni et al. (2005) for the aperture correction from 20 pixels to infinity. The final corrections were 0.63, 0.45, 0.42, and 0.54 mag for U, B, V, and I band filters respectively. We also correct the photometry in each filter for foreground extinction, 0.528, 0.441, 0.334, 0.264, and 0.183 mag for U, B, V, Hα, and I, respectively, taken from the NASA/IPAC Extragalactic Database.

We require photometry in all five UVB/Hα bands in order to accurately age-date star clusters. This has a minimal impact on our catalog and removes only a small fraction (~10%) of detected sources. We visually inspect all sources to remove cosmic rays and hot pixels from the catalog.

The low galactic latitude of NGC 3256 means that there will be a significant number of foreground stars from the Milky Way in our images. Luckily, at the distance of NGC 3256, we expect most clusters to be at least partially resolved in the HST/WFC images. We measure the concentration index, C, to aid our separation of foreground stars and cluster candidates. For a single source, C is measured as the difference in magnitude taken at two different apertures (typically done in the V band at 0.5 and 3.0 pixels, which we use here). C has proven to be a robust method in determining the compactness of an object and has therefore often been used to remove stellar contamination from cluster catalogs in many previous works (see Chandar et al. 2010b for a more in-depth discussion on C). Figure 2 shows $m_V$ versus C for all cluster candidates (circles) and likely foreground stars (asterisks). All stars fall to the left of the vertical dashed line at $C = 2.2$. We therefore only include cluster candidates with $C > 2.2$.

We address incompleteness in our catalog by making a cut where the $m_V$ distribution begins to flatten at the faint end, rather than continue in a power-law fashion. Because the central portion of NGC 3256 is duster and has a higher background level than the outer regions, we use separate completeness limits for the inner and outer regions. Clusters in the inner region are complete down to $m_V \approx 21.5$, while the outer region is complete down to $m_V \approx 23.0$. The separation of these two regions is shown in Figure 1. We find that contamination from background galaxies is negligible in the main body of NGC 3256. In all, we find 505 cluster candidates that meet our selection criteria, and compile their properties in Table 1.

We briefly compare our catalog to that of G10, who studied clusters in the central portion of NGC 3256 using U/VI filters.

Figure 1. BVI color image of NGC 3256, with Hα overlaid. The green circle indicates where we divide our sample into inner and outer regions and is ≈9.5 (2 kpc) in radius. The area covered by G10 is shown as the blue rectangle and covers ≈3 times less area than our coverage, shown as the white perimeter.

Figure 2. Plot of concentration index vs. brightness for all sources found in NGC 3256. The blue vertical line at $C = 2.2$ illustrates that all likely field stars are more centrally concentrated than $C = 2.2$. We note that the apparent relation between concentration index and brightness is an artifact of incompleteness and is not present above the horizontal line that illustrates our cutoff of $m_V = 23.0$.

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3 IRAF is distributed by the National Optical Astronomy Observatory, which is operated by the Association of Universities for Research in Astronomy (AURA) under a cooperative agreement with the National Science Foundation.

4 http://www.stsci.edu/hst/acs/analysis/zeropoints
taken with the HRC (see Figure 1) and the B band taken with the WFC from HST/ACS. Their final sample covered the central 5.8 \times 5.8 \, \text{kpc}^2 and included 276 clusters after imposing various selection criteria on photometric uncertainty and on the goodness of fit to simple stellar population (SSP) models. The portion of NGC 3256 studied here extends the G10 coverage to include the northern spiral arm, as well as outside the central, brightest portion of the system (as shown in Figure 1). In addition, we include H\alpha observations in our analysis, which can be critical for breaking the degeneracy between age and extinction, a degeneracy that affects a number of clusters in this merging system (see Section 3.2 for more details). Our catalog includes more than 95% of the sources that were found by G10, when both catalogs are matched in area and magnitude (\(m_V < 21.5\)). Conversely, G10 only find \(\sim 70\%\) of the clusters in our catalog (again when matched in area and magnitude). Our study covers an area \(\sim 3.5\) times larger than that of G10, although we note a lack of clusters south of the main body.

3. CLUSTER AGE AND MASS DETERMINATION

We present the color–color diagram for star clusters in NGC 3256 in Figure 3. The solid line is a stellar population model from G. Bruzual & S. Charlot (2006, private communication, hereafter BC06; and see also Bruzual & Charlot 2003) that predicts the evolution of star clusters from about \(10^6–10^{10}\,\text{yr}\). All models assume a metallicity of \(Z = 0.02\) (i.e., solar metallicity). Numbers mark the logarithmic age (\(\tau\)) corresponding to the population.

3.1. Spectral Energy Distribution (SED) Fitting

Using \(UBV\) photometry, we fit photometric SEDs of clusters to SEDs from cluster evolution tracks of BC06 in order to determine the age of each cluster. Reddening due to dust can yield inaccurate ages if not accounted for, because redder colors imply older ages. We therefore adopt the common technique of varying age and \(E(B-V)\) in order to minimize the function

\[
\chi^2(\tau, E(B-V)) = \sum_{\lambda} W_{\lambda} (m^\text{obs}_{\lambda} - m^\text{mod}_{\lambda})^2.
\]

Here, \(m^\text{obs}\) is the observed magnitude and has been corrected for both aperture and foreground extinction (see Section 2.2 for details), and the BC06 models (\(m^\text{mod}\)) are normalized to each cluster’s apparent \(V\) band magnitude. The function \(W_{\lambda} = (\sigma_{\lambda}^2 + 0.05^2)^{-1}\) weights each photometric measurement in the fit by accounting for the photometric uncertainty (\(\sigma_{\lambda}\)) output by PHOT. We add 0.05 in quadrature to \(\sigma_{\lambda}\) to ensure that no single measurement dominates the SED fit.

The BC06 model predicts a mass-to-light ratio (for the \(V\) band luminosity) for each age, which we use to estimate a mass for each cluster. \(L_V\) is calculated from each cluster’s \(M_V\) magnitude (corrected for internal extinction) and the distance modulus of NGC 3256. The masses are computed using a Chabrier (2003) initial mass function.

3.2. Calibrating the H\alpha Filter

Broad-band colors alone make it difficult to differentiate clusters that are red because they are older from those that are young but appear redder due to the presence of dust. This is known as the age–extinction degeneracy. Including H\alpha photometry as a fifth point in the SED can help to break this degeneracy and has been used in a number of studies to age-date clusters (e.g., Fall et al. 2005; Chandar et al. 2010b). In this section we describe our method for calibrating the H\alpha filter in order to use it in the SED fitting method.

### Table 1

| ID | R.A. | Decl. | \(m_U\) | \(\sigma_U\) | \(m_B\) | \(\sigma_B\) | \(m_V\) | \(\sigma_V\) | \(m_R\) | \(\sigma_R\) | \(m_i\) | \(\sigma_i\) | \(M\) | \(\tau\) | \(E(B-V)\) |
|----|-----|-------|--------|-----------|--------|-----------|--------|-----------|--------|-----------|--------|-----------|------|--------|----------|
| 1  | 10 27 52.352 | −43 54 33.30 | 22.87 | 0.08 | 23.12 | 0.02 | 25.45 | 0.04 | 22.36 | 0.02 | 5.25 | 8.31 | 0.00 |
| 2  | 10 27 52.377 | −43 54 32.71 | 23.16 | 0.11 | 23.13 | 0.02 | 25.54 | 0.05 | 22.30 | 0.02 | 5.25 | 8.41 | 0.00 |
| 3  | 10 27 49.477 | −43 54 31.89 | 20.70 | 0.02 | 22.15 | 0.03 | 25.29 | 0.11 | 22.07 | 0.04 | 4.35 | 6.82 | 0.00 |
| 4  | 10 27 49.490 | −43 54 31.77 | 20.58 | 0.03 | 21.81 | 0.04 | 24.75 | 0.09 | 21.56 | 0.04 | 4.56 | 6.84 | 0.00 |
| 5  | 10 27 49.626 | −43 54 31.75 | 21.25 | 0.03 | 22.73 | 0.03 | 25.01 | 0.06 | 22.34 | 0.04 | 4.16 | 6.74 | 0.04 |
| 6  | 10 27 49.491 | −43 54 31.44 | 19.40 | 0.01 | 20.81 | 0.02 | 23.89 | 0.04 | 20.58 | 0.02 | 4.93 | 6.84 | 0.00 |
| 7  | 10 27 49.724 | −43 54 31.12 | 20.52 | 0.02 | 21.61 | 0.01 | 23.06 | 0.07 | 20.82 | 0.02 | 4.89 | 6.76 | 0.22 |
| 8  | 10 27 49.723 | −43 54 31.00 | 20.33 | 0.01 | 21.53 | 0.02 | 23.24 | 0.11 | 20.76 | 0.02 | 4.95 | 6.86 | 0.14 |
| 9  | 10 27 50.821 | −43 54 29.85 | 22.08 | 0.05 | 22.92 | 0.02 | 24.67 | 0.10 | 21.90 | 0.03 | 5.25 | 7.76 | 0.16 |
| 10 | 10 27 50.805 | −43 54 29.81 | 22.70 | 0.10 | 23.37 | 0.05 | 25.47 | 0.33 | 21.97 | 0.05 | 5.46 | 8.01 | 0.28 |

**Note.** Apparent magnitudes \((m_\lambda)\) and photometric errors \((\sigma_\lambda)\) are listed, as well as best-fit cluster ages in log years \((\tau)\), masses \((M)\) in \(\log(M/M_\odot)\), and internal reddening \((E(B-V))\) as calculated from the SED fit.

(This table is available in its entirety in machine-readable form.)
4. RESULTS

4.1. Luminosity Function

We present the LFs for clusters in NGC 3256 in Figure 5. The LF is best described by a power law, \( dN/dL \propto L^\gamma \), where \( \alpha \) is determined from a linear fit to \( \log(dN/d(m_V)) \). The \( m_V \) values have been aperture-corrected and corrected for foreground extinction in the Galaxy. The three panels of Figure 5 show the LF for the entire sample, as well as for clusters in the inner and outer regions of NGC 3256, separately. We find \( \alpha = -2.23 \pm 0.07 \) for the combined sample with \( m_V \leq 21.5 \). The LF for the inner and outer regions individually yielded \( \alpha \approx -2.1 \) in both cases. We also determine the power-law index for the combined sample using \( B \) and \( I \) band magnitudes, and find \( \alpha = -2.14 \pm 0.09 \) and \( \alpha = -2.17 \pm 0.08 \), respectively. These are consistent with the \( V \) band result of \( \alpha = -2.23 \), within the uncertainties.

Zepf et al. (1999) previously presented a catalog of clusters in NGC 3256 using poorer quality (in both depth and resolution) \( B \) and \( I \) band Wide Field Planetary Camera 2 images from HST. Using their cluster catalog to measure the \( B \) band LF, we find \( \alpha = -2.15 \pm 0.07 \), in agreement with the LF presented in this work. In addition, our value for \( \alpha \) is similar to that found in many other galaxies (Whitmore et al. 2014).

We also compare the LF found in this work to that of clusters in the eastern tidal tail of NGC 3256, as measured by Mulia et al. (2015). They obtain \( \alpha = -2.61 \pm 0.27 \), somewhat steeper than the LF in the main body, for clusters brighter than \( M_V \approx -8.0 \).

4.2. Age Distribution

Figure 6 shows the mass–age relation, separated for clusters in the inner and outer regions. The solid lines show our brightness limits of \( m_V = 23.0 \) (\( M_V = -9.79 \) for a distance modulus of 32.79) for the outer region and \( m_V = 21.5 \) (\( M_V = -11.29 \)) for the inner region. The different completeness limits of the inner and outer regions result in different mass regimes in which the age distribution can be determined. The two dashed lines indicate the masses at which both samples are complete over the age ranges used in the age distribution (Figure 7). The inner cluster sample is complete to \( \log(\tau/\text{yr}) \approx 8.0 \) for \( \log(M/M_\odot) > 5.6 \), while the outer sample is complete to \( \log(\tau/\text{yr}) \approx 8.4 \) for \( \log(M/M_\odot) > 5.2 \). The apparent lack of clusters in the range \( 7 < \log(\tau/\text{yr}) < 7.5 \) is an artifact of the SED fitting, partially due to the BC06 track forming a loop in color space.

We find that the age distribution follows a power law with \( dN/d\tau \propto \tau^\gamma \), with \( \gamma \approx -0.67 \pm 0.08 \) for two independent mass ranges in both the inner and outer regions. The combined catalog from both regions yields \( \gamma \approx -0.5 \) for both mass ranges; however, we note that the difference in completeness limits for the two catalogs results in a very low number of clusters for which the age distribution can properly be measured. The age distribution presented in Figure 5 of G10 for clusters in NGC 3256 shows a similar declining shape to that presented here.

Fall & Chandar (2012) find the cluster age distribution for multiple galaxies to be a power law with \( \gamma \) between \( \approx -0.6 \) and \( \approx -1.0 \). While the slope of the age distribution fluctuates somewhat depending on how the fit is performed, this fluctuation agrees well with the fitting errors shown in Figure 7.
as well as with the uncertainties listed in Fall & Chandar (2012). We conclude that $\gamma$ for NGC 3256 is similar to the values obtained for the cluster populations in other galaxies, although several works find significantly flatter age distributions for clusters in some galaxies (e.g., Hwang & Lee 2010; Baumgardt et al. 2013; Silva-Villa et al. 2014), including recent work on M31 by the PHAT team (Fouesneau et al. 2014).

The age distribution is a combination of the formation and disruption histories of the clusters. The star formation histories (SFHs) are known independently in a number of galaxies and appear to be relatively constant at least to within a factor of two over the last few hundred million years (e.g., SMC—Harris & Zaritsky 2004; LMC—Harris & Zaritsky 2009). Unfortunately, to our knowledge, there is no published SFH for the merging, starbursting NGC 3256 system, either from direct observations or from high quality simulations. If the SFH of NGC 3256 has been constant to within a factor of a few over this timescale, as suggested by some simulations for the starbursting Antennae galaxies (Karl et al. 2011), as well as observational works on interacting galaxies (e.g., Knapen et al. 2015 and references therein), then the clusters in NGC 3256 would also have a disruption history similar to that found in these more quiescent galaxies.

4.3. Mass Function

We show the CMFs in Figure 8. These can be described by a power law, $dN/dM \propto M^\beta$. We measure $\beta$ for three age ranges for clusters in the inner and outer areas of the galaxy, as well as for the combined sample. The given uncertainties only reflect the formal uncertainty in the fit; we discuss other sources of error in Section 4.3.1.

In the age range $6<\log(\tau/\text{yr})<7$, we find that the combined sample of inner and outer clusters yields $\beta = -1.86 \pm 0.14$. Separating the sample yields $\beta = -1.84 \pm 0.14$ for outer clusters, but a shallower $\beta = -1.61 \pm 0.13$ for inner clusters. The somewhat shallower slope is likely a result of crowding, which can artificially flatten the mass function. Studies of other galaxies have also found $\beta \approx -2$ (e.g., Zhang & Fall 1999; Chandar et al. 2010a, 2010b, 2015). We note that G10 find $\beta = -1.85 \pm 0.12$ for the same age range in NGC 3256, quite similar to our result.

We only determine the mass functions for older clusters in the outer region, since there are very few such clusters in the inner region. We find $\beta = -1.31 \pm 0.36$ in the age range $7<\log(\tau/\text{yr})<8$. This age range is also the most difficult to fit, partially due to the loop in the BC06 track discussed in Section 4.2. Clusters with ages $8<\log(\tau/\text{yr})<8.6$ produce a mass function with $\beta = -2.08 \pm 0.45$, where the large uncertainty in fitting is due to small-number statistics.

In Figure 9, we also show the mass function for NGC 3256 clusters younger than $\log(\tau/\text{yr}) = 7$ from the G10 sample. We find that their mass function shows an unexpected systematic offset toward lower masses. The offset is not due to differences in photometry, in SSP model assumptions, or in derived age or extinction values. When we put the G10 photometry through our age-dating procedure, no offset exists. The reason for the offset between the G10 cluster mass estimates and our own is unclear.
Several factors contribute to the uncertainty in the shape of the CMF. We mentioned some of these factors already in Section 3.2, such as the impact that small changes in the zero point and escape fraction for the Hα filter have on β. In this section, we consider additional contributors to the uncertainties in β.

Incompleteness can impact β, causing it to become artificially shallow. This is especially true when considering β for a very small age range, where brightness and mass are correlated, and a loss of faint clusters is equivalent to a loss of low-mass clusters. We discussed completeness of our catalog in Section 2.2, and we choose selection limits that are sufficiently bright that the impact of incompleteness is minimal.

Details of the fitting procedure can also affect β. We find that the specific mass range used in the fits affects β by less than about 0.05 for samples with 40 or more clusters, similar to most of the subsets quoted in this paper. We also measure the impact of bin size on β and again find β to fluctuate by ±0.05. Overall we find that all of these sources of uncertainty affect β within the formal uncertainty given in Figure 8 for each age range.

4.3.2. Is There an Upper Mass Cutoff?

Some works have found that mass functions for clusters in spiral galaxies deviate from a single power law and have a downturn at the high-mass end (e.g., Bastian et al. 2012). These works suggest that the mass function is better described by a Schechter function, \( dN/dM \propto M^\beta \exp(-M/M_C) \), where \( M_C \) is the upper mass cutoff. While the lower-mass end of the Schechter function converges to a power law with index β, the high-mass end drops off from a power law quickly above \( M_C \).

In NGC 3256, we find that a single power law provides a good fit to the observed CMF, since no obvious downturn is observed at the high-mass end. Therefore, our distribution is only consistent with a Schechter function with a high \( M_C \) (consistent with the suggestion that any \( M_C \) would be expected to be higher than \( 10^5 \, M_\odot \) for this type of system; e.g., Kroupa 2001). Below, we determine a lower limit to \( M_C \). For simplicity, we compare our CMFs for \( 6 < \log(\tau/\text{yr}) < 7 \) and \( 8 < \log(\tau/\text{yr}) < 8.6 \) to Schechter functions with a fixed \( \beta = -2.0 \) and varying \( M_C \) values, although there is no reason why \( \beta \) has to be exactly −2.0. For the latter age range, we use only the sample taken from the outer region of the central galaxy due to low-number statistics.

Using this approach, the mass function of clusters with ages \( 6 < \log(\tau/\text{yr}) < 7 \) can only be reasonably fit for a Schechter function with \( \log(M_C/M_\odot) \) values above 6.5. Because the mass function is fit out to \( \log(M/M_\odot) \sim 7.5 \), it is not surprising that Schechter functions with \( \log(M_C/M_\odot) < 6.5 \) begin to fall below the observed mass function at the high-mass end. The left panel of Figure 10 shows the mass function with multiple \( M_C \) values.

Fitting the mass function for \( 8 < \log(\tau/\text{yr}) < 8.6 \) with a Schechter function is indistinguishable from fitting a pure power law for \( \log(M_C/M_\odot) \geq 6.5 \). This is shown in the right panel of Figure 10, where \( \log(M_C/M_\odot) = 6.0 \) and \( \log(M_C/M_\odot) = 6.5 \) provide reasonable fits to the mass function, as does a single power law. The mass function is fit out to \( \log(M/M_\odot) \sim 5.5 \), and we find that the Schechter functions with \( \log(M_C/M_\odot) < 6.0 \) begin to fall below the observed mass function at the high end.

We find little evidence for a truncation of the mass function at the high end. We conclude that while both mass functions tested here can be fit with a Schechter function, it is not required and that a single power law provides an equally good fit to each. We therefore favor a pure power law in fitting the mass functions.

5. HOW DOES DISTANCE AFFECT THE OBSERVED CLUSTER DISTRIBUTIONS?

The specific method used to select star clusters, particularly at ages \( \tau < 10 \, \text{Myr} \), may affect the results (e.g., Bastian et al. 2012). In addition, cluster selection in galaxies located at different distances will necessarily be limited by resolution since at least some sources will appear as diffuse stellar clusters in nearby galaxies but not in more distant ones.

At a distance of 36 Mpc, NGC 3256 is nearly twice as far as the Antennae, the nearest example of a pair of actively merging galaxies. In order to assess how distance might impact source selection, as well as the LFs, mass functions, and age distributions of cluster populations in NGC 3256, we use the well studied HST images of the Antennae, and compare the
resulting cluster distributions when we simulate the entire system to lie a factor of two further away.

We download the Antennae data from HST/WFC F435W, F550M, and F814W filters, as well as the WFC 3 F336W filter from the HLA. The combined image for each filter is then boxcar-smoothed with a kernel width of two pixels. We run DAOFIND on both the original and degraded F550M images, tuning only the FWHM parameter in both images, and we detect 8405 and 3173 objects, respectively. We refer to the cluster catalogs produced from the unaltered and degraded images as the “original” and “image-smoothed” catalogs, respectively. We perform aperture photometry on all detected sources and correct for foreground extinction. In addition, we measure and apply separate aperture corrections to each catalog.

Figure 11 shows a comparison of the original and image-smoothed F550M images. The circles indicate detections from DAOFIND. It is evident that the image-smoothed source catalog is missing many of the very faint clusters in addition to some of the bright sources. We illustrate this in Figure 12, where the bottom panel shows the relative fraction of sources found in the image-smoothed catalog compared to the original catalog. We find that ≈85% of the 3173 image-smoothed detections share coordinates (within one pixel) with their original image counterparts.

The top and middle panels of Figure 12 show the LFs for the original and image-smoothed cluster catalogs, respectively. Both LFs are fit for $m_V < 22.7$ ($M_V < -9$), where the $m_V$ distribution begins to flatten out at the faint end. We find values for $\alpha$ of $-2.13 \pm 0.04$ for the clusters detected in the original image, very similar to those found in previous works. For the smoothed image sample we also find $\alpha = -2.10 \pm 0.04$. A similar and more extensive study was performed by Randriamanakoto et al. (2013), where it was also determined that $\alpha$ is not greatly impacted by resolution. They performed various convolutions on their image in order to simulate different galaxy distances, finding that $\alpha$ differed by no more than 0.2.

The color distributions of clusters brighter than $M_V < -9$ from the original and smoothed images are quite similar. While there are more points from the original catalog present in Figure 13, the scatter in the colors among the two catalogs is roughly the same. We run SED fitting on both catalogs and construct their age distributions (not shown), finding $\gamma \approx -0.8$ in both cases.

We find that the LF, color distributions, and age distributions for the original and image-smoothed catalogs are nearly the same, and we therefore conclude that distance does not significantly hamper our ability to study clusters out to ≈40 Mpc.

6. HOW EFFICIENTLY DOES NGC 3256 FORM CLUSTERS?

Many previous works have suggested that galaxies with a high SFR per unit area ($\Sigma_{SFR}$) form clusters more efficiently.

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5 We do not restrict our sample to objects that appear to be spherically symmetric, as has been recommended to separate bound from unbound clusters (e.g., Gieles & Portegies Zwart 2011), since resolution makes this difficult at the distance of the Antennae and NGC 3256.
than galaxies with lower $\Sigma_{\text{SFR}}$ (e.g., G10; Kruijssen 2012; Kruijssen & Bastian 2016). Two independent observational methods have been developed to test this: the CMF/SFR statistic (Chandar et al. 2015; hereafter CFW15) and $\Gamma$, the fraction of stars formed in bound clusters (Bastian 2008). A third, less direct method, $T_\chi(U)$, has also been used (Larsen & Richtler 2000). In this work, we focus on the first two methods, because they are easier to interpret. In this section, we apply both methods to our cluster sample in NGC 3256, and compare the results with those from previous works and for different galaxies.

6.1. CMF/SFR Statistic

CFW15 compared the CMFs between several different galaxies by normalizing them by the SFR of the host galaxy, and comparing the amplitudes of the resulting CMF/SFR statistic. The sample included spirals (M83 and M51), irregulars and starbursts (Large and Small Magellanic Clouds, NGC 4214, and NGC 4449), and the merging Antennae galaxies. The large range of amplitudes for the CMFs in two different ranges of age ($\log(\tau/\text{yr}) < 7$ and $8 < \log(\tau/\text{yr}) < 8.6$) in these galaxies collapse when divided by their respective SFRs. The dispersion in the CMF/SFR statistic is only $\sigma \approx 0.2$, similar to the expected uncertainties. Since the CMF/SFR statistic of very young clusters is similar across these different galaxies, CFW15 concluded that cluster formation scales with the overall SFR on galaxy scales. The similarity of the CMF/SFR statistic for the older clusters suggests that the disruption histories are also similar across the galaxies.

Here, we determine the CMF/SFR statistic for NGC 3256 for the first time and compare with the rest of the galaxies in the CFW15 sample. The mass functions discussed in Section 4.3 were shown to follow a power law with index $\beta$. In the left panel of Figure 14, we show the unnormalized CMFs for the same seven galaxies shown in CFW15 and now also include NGC 3256. The CMF for NGC 3256 is higher than that of the other galaxies, including the Antennae. The right panel of Figure 14 presents the CMF/SFR statistic for NGC 3256 and shows that it is similar to that of the other seven galaxies. We measure the CMF/SFR statistic only for clusters younger than $\log(\tau/\text{yr}) < 7$, because our NGC 3256 sample does not contain a significant number of clusters older than this.

The uncertainties in the CMF/SFR statistic can be separated into uncertainties in the CMF and in the SFR value. Here we focus on the latter and refer the reader to Section 4.3.1, where we discussed uncertainties regarding the mass function. We adopt a total SFR of $50 M_\odot \text{yr}^{-1}$ for NGC 3256 (Sakamoto et al. 2014), which was calculated from the bolometric infrared luminosity. This SFR is quite similar to the value of $46 M_\odot \text{yr}^{-1}$ calculated from the total infrared luminosity and adopted in G10 for the SFR. We find other modern calculations of the SFR in NGC 3256 in a similar range, with a high value of $85 M_\odot \text{yr}^{-1}$ using infrared luminosity (Rodríguez-Zaurín et al. 2011). These values are consistent with an accuracy to within a factor of about two for the SFR, as found by several previous works (e.g., Lee et al. 2009; CFW15).

While our full area of coverage is $\approx 120 \text{kpc}^2$, the clusters fall within an area of $\approx 50 \text{kpc}^2$, comparable to that used for the SFR determinations mentioned above. While it is important that the same area of the galaxy be used for determining both the CMF and the SFR (as done in CFW15), this has not always been done. A number of studies have compared cluster properties with the SFR density of the host galaxy, but with the latter determined for a different area than for the clusters. For NGC 3256, G10 assumed a star-forming area of $\approx 75 \text{kpc}^2$ (taken from the literature), but the actual area covered by their cluster catalog is only $\sim 33 \text{kpc}^2$ (see Section 2.2 and Figure 1). We estimate the uncertainty in previously published values of the star-forming area to be approximately a factor of two for NGC 3256. This is on top of the uncertainty in the SFR itself. CFW15 quantify the scatter in the CMF/SFR statistic among galaxies by fitting each galaxy by

$$dn/dM = A \times \text{SFR} \times (M/10^4 M_\odot)^{-1.9}$$  \hspace{1cm} (2)

and find the scatter in the normalization coefficient $A$ to be $\sigma (\log A) = 0.21$. When NGC 3256 is added as an eighth galaxy, we find $\sigma (\log A) = 0.24$.

If the formation of clusters is affected by the overall SFR or $\Sigma_{\text{SFR}}$ of their host galaxy, we should see a correlation of these properties with the residuals of $\log A$. In Figure 15, we plot the residuals of $\log A$ for each galaxy versus the SFR and $\Sigma_{\text{SFR}}$. We
take $\Sigma_{\mathrm{SFR}}$ values for all galaxies (including NGC 3256), but not the Antennae, from the recent compilation made by Adamo et al. (2015). The result for NGC 3256 is shown in red. The left panel is similar to the upper-left panel of Figure 4 in CFW15, who did not show the residuals with respect to $\Sigma_{\mathrm{SFR}}$. No obvious trend in the residuals is observed with either the SFR or $\Sigma_{\mathrm{SFR}}$. The nonparametric Spearman correlation coefficient, $r_S$, and the corresponding probability $p(>r_S)$ confirm this visual impression. We find $r_S$ of $-0.07$ and $p(>r_S)$ of $0.87$ for log $A$ versus SFR and $r_S$ of $-0.24$ and $p(>r_S)$ of $0.57$ for log $A$ versus $\Sigma_{\mathrm{SFR}}$. These $p(>r_S)$ values should be less than 0.05 to have a greater than 95% confidence of there being a correlation. Therefore, there is no statistically significant correlation between the residuals in log $A$ and SFR and $\Sigma_{\mathrm{SFR}}$ for these eight galaxies.

Our results for NGC 3256, when added to those for the seven galaxies presented in CFW15, are consistent with the hypothesis that the formation rates of stars and clusters are similar across star-forming galaxies that span a large range (approximately three orders of magnitude) in SFR and $\Sigma_{\mathrm{SFR}}$. Our results for the age distribution in NGC 3256, which also
shows a declining shape similar to that in the other more quiescent galaxies, suggest that the disruption history may also be the same, although this conclusion depends on the (currently unknown) SFH of the system. The cluster population models presented in Whitmore et al. (2007) indicate that for cluster disruption that is mostly independent of mass, the youngest clusters are the brightest. This is consistent with our findings for NGC 3256 in Section 3.2.

6.2. The $\Gamma$ Statistic

A second, similar statistic that has been widely used in the literature is $\Gamma$, defined as the mass formed in bound clusters divided by the total stellar mass. The total mass in clusters, within a given age range, is typically found by extrapolating the observed CMF down to a mass of $100 M_\odot$. This extrapolation is accomplished either by assuming a power law or Schechter function, or by using a simulated cluster population. $\Gamma$ has been estimated for a number of galaxies and is typically plotted against $\Sigma_{\text{SFR}}$ of the host galaxy. Previously, both observational and theoretical works have suggested that there is a strong correlation between $\Gamma$ and $\Sigma_{\text{SFR}}$ (and $T_\text{dyn}(U)$ and $\Sigma_{\text{SFR}}$), such that the higher the $\Sigma_{\text{SFR}}$ of a galaxy, the higher the fraction of stars formed in bound clusters. Since estimates of $\Sigma_{\text{SFR}}$ and SFR correlate strongly for the specific galaxies studied thus far, there should be a similarly strong correlation between $\Gamma$ and SFR. If confirmed, this result would differ from the result of CFW15, who found little variation from galaxy to galaxy for CMF/SFR.

G10 estimated $\Gamma$ for NGC 3256, and found $\Gamma = 22.9_{-7.3}^{+7.3}$. This was calculated from the CFR divided by the SFR, and it included only clusters with $\log(\tau/\text{yr}) < 7$. We summarize their method below, and refer the reader to G10 for details. G10 found the total mass in clusters above a cutoff of $\log(M_{\text{cut}}/M_\odot) = 4.7$ and used a synthetic cluster population to find the fraction of mass contained in clusters that is below this cutoff, assuming a power-law mass function with slope $\beta = -2.0$. They obtained the CFR by dividing their total mass in clusters by 7 Myr, rather than 10 Myr, due to the expectation that the clusters are embedded for the first 3 Myr and hence are missing...
We find that one of the biggest sources of uncertainty is the exact value used for the power-law index of the CMF, $\beta$. $G10$ and other works have found that $\beta$ has typical uncertainties of the order of $\pm 0.2$. However, changes at this level have a strong impact and change the derived value of $\Gamma$ by a factor of nearly four. $\Gamma$ is also sensitive to both the lower and upper mass ranges assumed in the extrapolation. If $\beta = -2.0$, then each decade in mass adds an equal percentage of total mass. For example, extrapolating down to a lower mass cutoff of, say, $1000 M_\odot$, rather than $100 M_\odot$ would increase the fraction of $M (M > M_{\text{cut}})$ by $\sim 10\%$. The estimates of $\Gamma$ vary from 0.09 to 0.98 (i.e., a factor of approximately 10!), depending on the specific choice of parameters. If we apply the same three 25% corrections as used by $G10$, we find a range between 0.18 and 1.91, i.e., the estimates go higher than 100%.

As also found by $G10$, the exact value of $\Gamma$ is quite sensitive to the specific assumptions and extrapolations that are made. Because a variety of assumptions have been made for determinations of $\Gamma$ in different galaxies (which we will address in a forthcoming paper), and because this method requires more assumptions than the CMF/SFR statistic, the current determinations have larger uncertainties, which may make it more difficult to compare results between galaxies.

7. SUMMARY AND CONCLUSIONS

We have used ACS/WFC from $HST$ to measure the properties of star clusters in the main body of NGC 3256. We draw the following conclusions.

1. The LF follows a power law with index $\alpha = -2.23 \pm 0.07$ where $m_V < 21.5$ for the sample combining inner (with $m_V < 21.5$) and outer (with $m_V < 23.0$) regions of NGC 3256. Measuring $\alpha$ for the inner and outer regions separately yielded $\alpha \approx -2.1$. These values agree with previous work.

2. We found that the age distribution can be described by a power law with index $\gamma \approx -0.67 \pm 0.08$ for independent mass ranges and for catalogs from the inner and outer areas of the galaxy separately. These values can be interpreted as a destruction rate of $\sim 80\%$ each decade in time and are consistent with typical values of $\gamma = -0.8 \pm 0.2$ found in other systems.

3. The mass functions in various cluster age ranges are well described by a power law with index $\beta$. Young ($\log(\tau/yr) < 7$) clusters follow a robust $\beta = -1.86 \pm 0.34$. We found that $7 < \log(\tau/yr) < 8$ clusters are better described by $\beta = -1.31 \pm 0.36$, while $8 < \log(\tau/yr) < 8.6$ clusters follow $\beta = -2.08 \pm 0.45$. We investigated a number of sources of uncertainty in $\beta$ and found that uncertainties agree with the formal uncertainties given in Figure 8.

4. In order to test for the effect that image resolution can have on cluster properties, we artificially degraded an image of the Antennae and created independent catalogs from the degraded and original images. While less than half of the image-smoothed sources were detected in the original image, the LFs, color distributions, and age distributions produced from both catalogs were very similar. We conclude that reliable measurement of the ages and luminosities of star clusters is not significantly hampered by the distance to NGC 3256.

5. We considered two different methods that measure the efficiency with which clusters form in a galaxy. The

| $\beta$ | SFR ($M_\odot$ yr$^{-1}$) | $\Delta t$ (Myr) | $\Gamma$ | $\Gamma'$ |
|--------|----------------|---------------|--------|--------|
| $-1.8$ | $46$           | $7$           | $0.24$ | $0.47$ |
| $-1.8$ | $46$           | $10$          | $0.17$ | $0.33$ |
| $-1.8$ | $50$           | $7$           | $0.22$ | $0.43$ |
| $-1.8$ | $50$           | $10$          | $0.15$ | $0.30$ |
| $-1.8$ | $85$           | $7$           | $0.13$ | $0.25$ |
| $-1.8$ | $85$           | $10$          | $0.19$ | $0.38$ |
| $-2.0$ | $46$           | $7$           | $0.36$ | $0.71$ |
| $-2.0$ | $46$           | $10$          | $0.25$ | $0.50$ |
| $-2.0$ | $50$           | $7$           | $0.33$ | $0.65$ |
| $-2.0$ | $50$           | $10$          | $0.23$ | $0.46$ |
| $-2.0$ | $85$           | $7$           | $0.20$ | $0.38$ |
| $-2.0$ | $85$           | $10$          | $0.14$ | $0.27$ |
| $-2.2$ | $46$           | $7$           | $0.98$ | $1.91$ |
| $-2.2$ | $46$           | $10$          | $0.68$ | $1.33$ |
| $-2.2$ | $50$           | $7$           | $0.90$ | $1.75$ |
| $-2.2$ | $50$           | $10$          | $0.63$ | $1.23$ |
| $-2.2$ | $85$           | $7$           | $0.53$ | $1.03$ |
| $-2.2$ | $85$           | $10$          | $0.37$ | $0.72$ |

Note. Column 4 shows $\Gamma$ with the given assumptions, while column 5 shows $\Gamma$ values when the three additional 25% correction factors used by $G10$ have been applied (see Section 6.2 for details).
CMF/SFR statistic was measured for eight galaxies, including NGC 3256, and had a dispersion of $\sigma (\log A) = 0.24$. We measured $\Gamma$ and found a value of 33% from clusters younger than 10 Myr, and we discussed the different parameters and assumptions that affect this method.

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