A search for resonant production of $t\bar{t}$ pairs in 4.8 fb$^{-1}$ of integrated luminosity of $p\bar{p}$ collisions at $\sqrt{s} = 1.96$ TeV

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We search for resonant production of $t\bar{t}$ pairs in 4.8 fb$^{-1}$ integrated luminosity of $pp$ collision data at $\sqrt{s} = 1.96$ TeV in the lepton+jets decay channel, where one top quark decays leptonically and the other hadronically. A matrix element reconstruction technique is used; for each event a probability density function (pdf) of the $t\bar{t}$ candidate invariant mass is sampled. These pdfs are used to construct a likelihood function, whereby the cross section for resonant production is estimated, given a hypothetical resonance mass and width. The data indicate no evidence of resonant production of $t\bar{t}$ pairs. A benchmark model of leptoophobic $Z'$ → $t\bar{t}$ is excluded with $m_{Z'} < 900$ GeV/c$^2$ at 95% confidence level.

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Many theories of physics beyond the standard model (SM) predict additional vector bosons (e.g. $Z'$). These include (but are not limited to) extended gauge theories (e.g. SO(10)), Kaluza–Klein states of the gluon or of $Z$ bosons, axigluons, and topcolor [11][10]. Previous analyses of Tevatron data have excluded such narrow resonances with masses less than 725 GeV/c$^2$ [11][14].

In this Letter we describe a search for narrow resonant states decaying to top–antitop pairs in proton–antiproton collisions using the CDF II detector at the Tevatron at Fermilab. We discuss the experimental signature of resonant $t\bar{t}$ production and how we are to distinguish it from standard model $t\bar{t}$ production. We describe the reconstruction technique used in this analysis and the statistical tests we perform in examining the data for any sign of the hypothetical resonant production, and we describe the systematic uncertainties related to this analysis. Observing no evidence for resonant production of $t\bar{t}$ pairs, we set upper limits on the cross section times branching ratio for resonant $t\bar{t}$ production.

At the Tevatron, the $t\bar{t}$ pair–production cross section has been measured with great precision: $\sigma_{pp\rightarrow t\bar{t}} = 7.70 \pm 0.52$ pb [15]. However, this degree of precision leaves open the possibility that non–SM physics gives rise to a
fraction of the total $t\bar{t}$ production.

We search for a heavy vector boson decaying to $t\bar{t}$ in the final state where one top quark decays semileptonically ($t \rightarrow l\nu b$) and the other hadronically ($t \rightarrow q\bar{q}^* b$) by examining the $t\bar{t}$ invariant mass spectrum of candidate events, where the event kinematics have been reconstructed by applying the SM QCD “Matrix Element” for $t\bar{t}$ production and decay [13]. The observed spectrum is then compared to templates – models of signal (i.e., $Z^\prime \rightarrow t\bar{t}$) and background processes (e.g. SM $t\bar{t}$, $W$+jets, $WW$/$WZ$) in an unbinned maximum-likelihood fit. By fitting the data to these models, we extract upper limits on the $Z^\prime \rightarrow t\bar{t}$ cross section times branching ratio. We consider scenarios where the $Z^\prime$ width is 1.2% of the pole mass (this has been the benchmark scenario for narrow-resonance searches in $t\bar{t}$ enriched samples [6]).

The CDF detector is a general purpose, azimuthally and forward-backward symmetric multipurpose collider detector. A detailed description can be found in Ref. [17]; here we summarize details of detector components important to this analysis. The transverse momenta ($p_T$) and track parameters of charged particles are measured by an eight-layer silicon strip detector [18] and a 96-layer drift chamber (COT) [21], both within a 1.4 T magnetic field. The COT provides tracking coverage with high efficiency for $|\eta| < 1$ [22]. Electromagnetic [23] and hadronic [24] calorimeters surround the tracking system. They are segmented in a projective tower geometry and measure the energies of charged and neutral particles in the central region ($|\eta| < 1.1$). A plug tile calorimeter covers the forward region (1.1 $< |\eta| < 3.6$). Each calorimeter has an electromagnetic shower profile detector positioned at the shower maximum. The calorimeters are surrounded by muon drift chambers [25]. The central muon detectors comprise four layers of drift chambers which cover the region $|\eta| \leq 0.6$. Forward muons, with $0.6 < |\eta| < 1.0$, are detected by an additional four layers of drift chambers. Gas Čerenkov counters [26] measure the average number of inelastic $p\bar{p}$ collisions per beam-crossing and thereby determine the beam luminosity.

We select $t\bar{t}$ candidates in data corresponding to an integrated luminosity of 4.8 fb$^{-1}$ in the lepton+jets channel [27] by requiring one isolated charged lepton – an electron (reconstructed using the central electromagnetic calorimeter) or a muon (reconstructed with the central or forward muon detectors).

Primary leptons must have rapidity $|\eta| < 1$. Electrons must have transverse energy $E_T > 20$ GeV and muons must have transverse momentum $p_T > 20$ GeV/c. Four or more central jets ($|\eta| < 2$) with $E_T > 20$ GeV are also required. One of these jets must have a secondary vertex displaced from the primary event vertex such that it is “tagged” by the SECVTX algorithm [28] as being consistent with the decay of a long-lived $b$-hadron. Jets with $b$-tags are restricted to $|\eta| < 1$. Large missing transverse energy [29] is also required, $E_T > 20$ GeV. Jets corrected [30] for multiple $p\bar{p}$ interactions in the event, non-uniformities in the calorimeter response along $\eta$ and any non-linearity and energy loss in the uninstrumented regions of the calorimeters. The $E_T$ is corrected for the primary vertex location and for any high-$p_T$ muons in the event.

The contribution of non-$t\bar{t}$ backgrounds satisfying this selection has been derived in precision measurements of the $t\bar{t}$ production cross section [27], these are tabulated in Table I. Also shown is the expected SM $t\bar{t}$ content, given the event selection. However, in this analysis the SM $t\bar{t}$ content is estimated as the difference between the number of observed events and the estimate of resonant $t\bar{t}$ events plus non-$t\bar{t}$ background events. Table I indicates the number of events observed in each of the subsamples considered in this analysis.

For each candidate event, we apply the $t\bar{t}$ hypothesis – the observed event kinematics are mapped to the parton level using the information available in the SM QCD “Matrix Element” for $t\bar{t}$ production and decay [13]. By constraining the event kinematics to the hypothetical matrix element, we can reconstruct with enhanced precision any kinematic quantity which can be expressed in terms of the parton momenta. In this analysis, we reconstruct the $t\bar{t}$ invariant mass probability density function (pdf) for each event.

The probability for $t\bar{t}$ production and decay, given $p$, the four–momenta of the decay products of the $t\bar{t}$ system, is

$$
\pi(p|m_t) = \frac{1}{\sigma(m_t)} \int dz_a dz_b f_k(z_a) f_l(z_b) d\sigma_{kl}(p|m_t, z_a, z_b),
$$

where $f_k(z_a)$ and $f_l(z_b)$ are the parton density func-
tions for incoming gluons or quarks with flavor \( k \) and \( l \), with \( z \)-components of parton momenta, \( z_a \) and \( z_b \). \( \frac{d\sigma}{dk}(p|z_a, z_b) \) is the differential cross section – it is proportional to the squared SM matrix element for \( t\bar{t} \) production and decay. In this analysis, we fix the top-quark mass, \( m_t = 172.5 \text{ GeV}/c^2 \).

Any quantity which can be expressed as a function of the momenta of the top decay products can be estimated as a probability density. We consider the invariant mass of the top–antitop pair, and derive the following pdf of \( x \), the reconstructed \( t\bar{t} \) invariant mass:

\[
\rho(x) = \int \frac{\pi(p_k|m_t)}{W(j|p_k)} \delta(x - M(p_k)) dp_k.
\] (2)

\( M(p_k) \) is the invariant mass of the top–antitop pair, given parton configuration \( p_k \), and \( W(j|p_k) \) is a transfer function which maps the observed jets \( j \) to the parton level. The sum is over the number of permutations, or jet–parton assignments, possible given the observed event.

The transfer functions \( W(j|p_k) \) used in Eq. (2) are estimates of the primary parton energy corresponding to the observed jet \( E_T \). These estimates are derived from Monte Carlo simulation, where jets are matched to partons within \( \Delta R = \sqrt{\Delta \eta^2 + \Delta \phi^2} < 0.15 \). No other jets or partons may be within \( \Delta R < 0.6 \) of the jet/parton match. We separate the response function into 10 GeV jet–energy bins and into five bins of jet pseudo-rapidity.

The matrix-element calculation produces a probability density function of the reconstructed \( t\bar{t} \) invariant mass for each event. We use this sampled pdf as the observable in a likelihood calculation. The probability for an event in sample \( i \) is a function of the signal fraction \( f_{\text{sig}} \) in the sample:

\[
P_i(f_{\text{sig}}) = f_{\text{sig}}P_{\text{sig},i} + (1 - f_{\text{sig}})P_{\text{bg},i}.
\] (3)

Here we regard the hypothetical \( Z' \to t\bar{t} \) component as signal and SM \( t\bar{t} \) and non-\( t\bar{t} \) processes as background. The cross section \( \sigma \) for \( Z' \to t\bar{t} \) and the signal fraction are proportional,

\[
f_{\text{sig}} = \frac{1}{n} \sigma \sum_{i=1}^{N_s} L_i A_i
\] (4)

where \( n \) is the total number of events observed, \( N_s = 3 \times 2 \times 2 = 12 \) is the number of samples \([31]\), and \( L_i \) and \( A_i \) are, respectively, the integrated luminosity and absolute signal acceptance. The signal and background probabilities \( P_{\text{sig},i} \) and \( P_{\text{bg},i} \) are, according to their templates,

\[
P_{\text{sig},i} = \int T_{\text{sig},i}(x) \rho(x) dx,
\] (5)

and

\[
P_{\text{bg},i} = \int T_{\text{bg},i}(x) \rho(x) dx.
\] (6)

FIG. 1. Signal templates—summed over b-tag multiplicity, jet multiplicity and primary lepton type.

These templates, \( T_{\text{sig},i} \) and \( T_{\text{bg},i} \), are the summed event–by–event pdfs from each of the model components (e.g. the Monte Carlo models of SM \( t\bar{t} \), \( W+jets \), etc.). The templates and the per–event pdfs are normalized to unit area:

\[
T_{c,i}(x) = \frac{1}{N_c} \sum_{j=1}^{N_c} \rho_j(x)
\] (7)

\[
\int \rho(x) dx = 1
\] (8)

where \( T_{c,i} \) is the template for component \( c \) in sample \( i \) and \( N_c \) is the total number of events used to model component \( c \).

Templates for each model component are constructed by summing the per–event probability densities. In Fig. [1] we show the templates for \( Z' \to t\bar{t} \) at several values of the \( Z' \) pole mass, reconstructed according to the procedure described above. Note that the mass peak is generally prominent. For the samples where the \( Z' \) pole mass is 1000 GeV/c\(^2\) and above, fewer \( Z' \) particles are produced on–shell. The off–shell \( Z' \) is produced with mass according to the energy available from the parton density functions, but decays to a real \( t\bar{t} \) pair. The invariant mass spectrum for on and off–shell \( Z' \to t\bar{t} \) depends on the \( Z' \) pole mass; we are able to distinguish the \( Z' \) mass, given the observed reconstructed \( t\bar{t} \) mass spectrum, even in cases where the \( Z' \) mass is very large and the \( Z' \) is largely produced off–shell.

To model the background components \textsc{alpgen} \([32]\) version 2.10 with \textsc{pythia} version 6.2.16 \([33]\) parton showering is used for \( W+\)heavy flavor and \( W+jets \). The shape of the \( t\bar{t} \) invariant mass at next to leading order (NLO) is softer than the predictions of leading order Monte Carlo codes. To correct for this effect, \textsc{pythia} weighted at the generator level by \textsc{mcfm} \([34]\) (version 5.8) is used to model the SM \( t\bar{t} \) component. The QCD “fake” component (where a jet is mis–reconstructed as an electron) is modeled in data, where jets are selected which are
electron–like in their identification variables. Compared to the signal templates (Fig. 1), we notice excellent separation between background and signal shapes. We write the likelihood simply as the product of the per–event probabilities,

\[ L(\sigma) = \prod_{i,j} P_i(\sigma) \cdot G(\nu_j | \sigma_j, \sigma_j) \]  

(9)

where \( G \) is a Gaussian distribution, \( \nu_j \) is nuisance parameter \( j \) with expectation \( \bar{\sigma}_j \) and uncertainty \( \sigma_j \). We include among the nuisance parameters each lepton category acceptance and its error, as well as the lepton trigger efficiencies. SECVTX tagging acceptance is modeled by applying a scale factor to account for differences between data and simulation. This scale factor appears as another nuisance parameter. We integrate over the nuisance parameters to incorporate these systematic effects into the likelihood.

The measurement is affected by uncertainties inherent to our model of the background: the amount of initial– and final–state radiation (ISR and FSR) and the uncertainty on the jet energy scale [30] of the calorimeter contribute most significantly, while systematic uncertainties due to parton distribution function and color–reconnection effects [35, 36] are negligible. While the value of the top quark mass determines the value at which reconnection effects [35, 36] are negligible. While the value of the top quark mass determines the value at which the \( t\bar{t} \) invariant mass spectrum rises [10], the shape of the tail of the \( m_{\ell \nu} \) spectrum is insensitive to variation of the top mass within its uncertainty. This analysis is sensitive specifically to variations of the tail of the \( m_{\ell \nu} \) spectrum—uncertainty on the value of the top quark mass is not a significant source of systematic error.

We treat systematic uncertainties due to acceptance effects as nuisance parameters (cf. Eq. 9), while we convolve the likelihood function to include systematic effects due to background model uncertainties.

Background model systematic uncertainties are estimated by evaluating ensemble tests where the experimental circumstances are reproduced and the parameter in question (e.g. initial– or final–state radiation, estimates of background shape or composition) is varied within its error. The resulting distribution of the maximum likelihood estimate of signal cross section form the basis for these estimates of systematic uncertainty. We take the difference in the means of the +1\( \sigma \) and −1\( \sigma \) distributions as the error due to the underlying uncertainty at each mass value of the hypothetical resonances considered. The final tabulation of estimated systematic uncertainties for this analysis is given in Table III.

These errors are assumed to be Gaussian in nature. The likelihood of Eq. 9 is convolved with a Gaussian distribution whose width is equal to the quadrature sum of the individual systematic uncertainties:

\[ L'(\sigma) = \int_0^\infty G(\sigma, \sigma', \Delta \sigma) L(\sigma') d\sigma'. \]  

(10)

The distribution of reconstructed \( t\bar{t} \) invariant mass observed in the data is shown in Figure 2. This histogram shows the integrated probability density in each \( t\bar{t} \) invariant mass bin. For each event we observe a distribution; as a consequence any single event can contribute probability density to more than one bin. The data show no indication of resonant \( t\bar{t} \) production. Moreover, the distribution observed agrees very well with the background model over five orders of magnitude.

At each value of the \( Z' \) pole mass considered we calculate the Bayesian 95% confidence level (C.L.) upper limit on the value of the cross section times branching ratio for \( Z' \) production and decay to \( t\bar{t} \). This upper limit is the value of cross section times branching ratio which covers 95% of the area under the convolved likelihood, integrating from zero cross section, where a flat prior is

| \( Z' \) pole mass [GeV/c²] | \( \Delta \sigma \) [pb] |
|-----------------------------|-----------------|
| 450                         | 0.210           |
| 500                         | 0.183           |
| 550                         | 0.155           |
| 600                         | 0.153           |
| 650                         | 0.087           |
| 700                         | 0.058           |
| 750                         | 0.044           |
| 800                         | 0.030           |
| 850                         | 0.025           |
| 900                         | 0.020           |
| 950                         | 0.012           |
| 1000                        | 0.014           |
| 1100                        | 0.016           |
| 1200                        | 0.011           |
| 1300                        | 0.029           |
| 1400                        | 0.036           |
| 1500                        | 0.065           |

FIG. 2. The histogram of total probability density for the 1366 \( t\bar{t} \) candidate events observed in \( L = 4.8 \) fb⁻¹.

TABLE III. Total background model systematic uncertainties at each of the mass points considered. These values appear as the width of the Gaussian convolved with the likelihood in Eq. 10.
FIG. 3. Expected and observed 95% C.L. upper limit for \( \sigma(p\bar{p} \rightarrow Z') \times BR(Z' \rightarrow t\bar{t}) \) for \( \mathcal{L} = 4.8 \text{ fb}^{-1} \) of integrated luminosity as a function of reconstructed \( t\bar{t} \) invariant mass. The solid line indicates the observed limit. The dashed line indicates the theoretical cross section for a leptonophobic \( Z' \).

| \( m_{Z'} \text{[GeV/c}^2] \) | Expected limit [pb] | Observed limit [pb] |
|-------------------------------|---------------------|---------------------|
| 450                           | 0.954               | 1.05                |
| 500                           | 0.400               | 0.49                |
| 550                           | 0.400               | 0.46                |
| 600                           | 0.371               | 0.40                |
| 650                           | 0.224               | 0.26                |
| 700                           | 0.159               | 0.20                |
| 750                           | 0.123               | 0.15                |
| 800                           | 0.092               | 0.11                |
| 850                           | 0.080               | 0.10                |
| 900                           | 0.068               | 0.09                |
| 950                           | 0.069               | 0.08                |
| 1000                          | 0.069               | 0.07                |
| 1100                          | 0.069               | 0.07                |
| 1200                          | 0.070               | 0.08                |
| 1300                          | 0.104               | 0.13                |
| 1400                          | 0.134               | 0.18                |
| 1500                          | 0.197               | 0.24                |

TABLE IV. Expected and observed 95% C.L. limits on the cross section times branching ratio for narrow resonance production.

Assumed.

Figure 3 shows the expected and observed limits on the \( Z' \) cross section times branching ratio at each mass point considered. These data are also given in tabular form in Table IV. The green band shows the \( \pm 1\sigma \) expectation for the null hypothesis, the yellow band the \( \pm 2\sigma \) expectation. Also included is a curve indicating the theoretical cross section for a leptonophobic \( Z' \) [6].

We have searched for narrow resonant states decaying to top–antitop pairs in a sample corresponding to an integrated luminosity of \( 4.8 \text{ fb}^{-1} \) of CDF II data. Events were selected in the lepton + \( \geq 4 \) jets topology with at least one jet tagged as coming from a \( b \) quark. Monte Carlo samples were used to model the appearance of narrow resonant states decaying to \( t\bar{t} \). A matrix–element reconstruction method was applied, and for each event a probability density function of the reconstructed \( t\bar{t} \) invariant mass was sampled. This formed the basis for a likelihood fit to extract the cross section times branching ratio for narrow resonance production, where non–\( t\bar{t} \) background fractions are constrained according to their best estimates, and SM and resonant \( t\bar{t} \) components may vary according to the data. Systematic uncertainties such as those arising from the error on the jet energy scale, or uncertainties on parton distribution functions were incorporated by convolving the likelihood function with a Gaussian with width equal to the estimated uncertainty on the cross section times branching ratio due to the underlying uncertainty. Systematic uncertainties arising from acceptance effects such as trigger efficiencies or scale factors are treated as nuisance parameters in the likelihood function. The benchmark model of a leptonophobic \( Z' \) [6] is ruled out at 95% C.L. for \( Z' \) masses below \( 900 \text{ GeV/}c^2 \).

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