Raditive neutrino models
in light of diphoton signals

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Abstract

Viable explanations of a hinted 750 GeV scalar resonance may be sought within the extensions of the SM Higgs sector aimed at generating neutrino masses at the loop level. We confront a compatibility with the 750 GeV diphoton excess for two recent models which do not need to impose ad hoc symmetry to forbid the tree-level masses: a one-loop mass model providing the $H(750)$ candidate within its real triplet scalar representation and a three-loop mass model providing it within its two Higgs doublets. Besides accounting for the 750 GeV resonance, we demonstrate that these complementary neutrino-mass scenarios have different testable predictions for the LHC which should show up soon as more data is accumulated during the ongoing 13 TeV run.
1 Introduction

After discovery of the 125 GeV Standard Model (SM) Higgs boson \cite{1, 2}, there are alluring hints of a new scalar resonance responsible for the diphoton excess at 750 GeV in the ongoing run of the LHC \cite{3, 4}. Most of the existing studies which interpret the hinted resonance as an indication of a second Higgs boson, consider it in framework with an additional scalar singlet or with a second scalar doublet. In both cases one maintains the value of the electroweak precision parameter $\rho = 1$ at the tree level; while for the scalar singlet this is obvious this issue has been studied in detail for two Higgs doublet models (2HDM) in \cite{5}. Thereby it was found that 2HDM cannot accommodate recent diphoton excess without introducing additional massive particles \cite{6, 7, 8, 9, 10}. If we employ instead the scalar field in a weak triplet representation, it is still possible to keep the $\rho$-parameter protected by using both real and complex triplet scalar fields, like in the custodial triplet model known as the Georgi-Machacek model \cite{11}. It has been introduced as another benchmark model for a diphoton study in \cite{12} and \cite{13}.

We study a possible appearance of the hinted resonance in the context of beyond-SM (BSM) fields which appear in models of radiative neutrino masses. Specifically, we confront the capacity to fit the 750 GeV excess of two different radiative neutrino mass scenarios displayed in Table 1:

1. The one-loop neutrino mass model \cite{14} with minimal BSM representations providing the neutral component of a real scalar field $\Delta$ in the adjoint representation of the $SU(2)_L$ as the 750 GeV resonance candidate.

2. The three-loop neutrino mass model \cite{15} with exotic BSM representations where the 750 GeV candidate emerges in the form of the heavy CP-even neutral scalar field in the framework of the 2HDM.

The paper is structured as follows. In Sec. 2 we briefly review these radiative neutrino mass models and study their implications for the diphoton signal in Sec. 3. We discuss the stability of the scalar potential as well as Landau poles of relevant couplings in Sec. 4 and present our conclusions in Sec. 5.
Table 1: Neutrino mass models. Scalar fields are in (light) yellow and fermion fields in three generations are in (dark) red. The fields containing the 750 GeV candidate are in (light grey) green. For the one-loop model (left) the SM Higgs doublet manifests itself only via its VEV $v$ in the neutrino mass diagram.

## 2 Two radiative neutrino mass models

### 2.1 The one-loop model

The first mass model [14] in our focus is based on the one-loop diagram displayed on the LHS in Table 1. It has an appeal to invoke low non-singlet weak representations and to be free of imposing an additional ad hoc $Z_2$ symmetry to eliminate the tree-level contribution. Still, a Dark Matter (DM) stabilizing $Z_2$ symmetry is needed in the proposed attempts to account for the DM in “inert triplet” variants: the one realized with a $Z_2$ odd real triplet in [14, 16, 17] or another with a $Z_2$ odd complex scalar triplet [18]. However, we will not consider here such cases where the new scalar field doesn’t mix with the SM Higgs field.

Our model may be viewed as a substitute for the original one-loop neutrino-mass model by Zee [19] which, in meantime, has been ruled out by data: a charged scalar singlet $h^+ \sim (1, 2)$ in Zee loop-diagram has been kept, while its second Higgs doublet has been replaced by hypercharge zero triplet scalar field

$$
\Delta = \frac{1}{\sqrt{2}} \sum_j \sigma_j \Delta^j = \begin{pmatrix}
\frac{1}{\sqrt{2}} \Delta^0 \\
\Delta^+ \\
-\frac{1}{\sqrt{2}} \Delta^0 
\end{pmatrix} \sim (3, 0),
$$

(1)
in conjunction with the vector-like lepton $E_{R,L} \sim (2, -1)$ in three generations. Such modification of Zee model may be interesting in light of some findings that possible explanation of 750 GeV resonance requires both scalar and fermion BSM fields. The gauge invariant scalar potential of this model reads

$$V(H, \Delta, h^+) = -\mu^2 H \dagger H + \lambda_1 (H \dagger H)^2 + \mu_h^2 h^- h^+ + \lambda_2 (h^- h^+)^2$$

$$+ \mu_\Delta^2 \text{Tr}[\Delta^2] + \lambda_3 (\text{Tr}[\Delta^2])^2 + \lambda_4 H \dagger H h^- h^+ + \lambda_5 H \dagger H \text{Tr}[\Delta^2]$$

$$+ \lambda_6 h^- h^+ \text{Tr}[\Delta^2] + (\lambda_7 H \dagger \Delta \tilde{H} h^+ + \text{H.c.}) + \mu H \dagger \Delta H,$$

(2)

where the vacuum expectation value (VEV) $v = 246$ GeV of the neutral component of the Higgs doublet $H = (\phi^+, \phi^0)^T$ leads to electroweak symmetry breaking (EWSB). Without imposing $Z_2$ symmetry the trilinear $\mu$ term in (2) leads to an induced VEV $\langle \Delta_0 \rangle$ for the neutral triplet component, which is constrained by electroweak measurements to be smaller than a few GeV.

**Neutrino mass:** The effective neutrino mass operator is generated via the $\lambda_7$ coupling in (2) and appropriate Yukawa interactions from a gauge invariant Lagrangian

$$L = M_{E_L} E_R + y E_L H_L + g_1 (L_L)^c E_L h^+$$

$$+ g_2 L_L \Delta E_R + g_3 E_L \Delta E_R + g_4 (L_L)^c L_L h^+ + \text{h.c.}.$$ (3)

Here $y$ and $g_{1,2,3,4}$ are the Yukawa-coupling matrices and for simplicity we drop the flavour indices altogether. The resulting neutrino mass reads [14]

$$\mathcal{M}_{ij} = \sum_{k=1}^3 \left[ (g_1)_{ik} (g_2)_{jk} + (g_2)_{ik} (g_1)_{jk} \right] \frac{\lambda_7 v^2 M_{E_k}}{16 \pi^2} \left( M_{E_k}^2 m_{h^+}^2 \ln \frac{M_{E_k}^2}{m_{h^+}^2} + M_{E_k}^2 m_{\Delta^+}^2 \ln \frac{m_{\Delta^+}^2}{M_{E_k}^2} + m_{h^+}^2 m_{\Delta^+}^2 \ln \frac{m_{h^+}^2}{m_{\Delta^+}^2} \right)$$

$$\left( m_{h^+}^2 - m_{\Delta^+}^2 \right) (M_{E_k}^2 - m_{h^+}^2) (M_{E_k}^2 - m_{\Delta^+}^2).$$ (4)

Assuming the mass values in the diphoton-preferred range, as we will use later, $M_E \sim m_{\Delta^+} \sim m_{h^+} \sim 400$ GeV, (4) leads to $m_\nu \sim 0.1$ eV for the couplings $g_{1,2}$ and $\lambda_7$ of the order of $10^{-4}$.

### 2.2 The three-loop model

The second mass model [15] in our focus is based on the three-loop diagram displayed on the RHS in Table 1. Notably, this model contains 2HDM sector augmented by exotic scalar multiplets needed to close the three-loop mass diagram and motivated by the minimal dark matter (MDM) setup [20]: the
complex scalar pentuplet $\Phi$ and a real scalar field $\chi$ in the septuplet representation. Since $\Phi$ and $\chi$ fields do not form gauge invariant couplings with the SM particles, there is again no need for an additional symmetry to eliminate the tree-level neutrino mass contributions. This model is ideally suited for producing small neutrino masses with non-suppressed couplings and the multiply-charged components in similar setup have already been claimed to explain the 750 GeV diphoton excess $^{21,22}$.

The three-loop model at hand is in addition fortuitously scotogenic $^{15}$: a standard discrete $\tilde{Z}_2$ symmetry imposed to produce a natural flavour conservation in 2HDM results in accidental $Z_2$ odd parity of its BSM sector shown in Table 2. On account of it, the lightest among the three generations ($\alpha = 1,2,3$) of exotic real fermions $\Sigma_\alpha \sim (5,0)$ turns out to be a viable DM candidate. Out of four different ways the Higgs doublets are conventionally assigned charges under a $\tilde{Z}_2$ symmetry $^{23}$, we adopt the “lepton-specific” (Type X or Type IV) 2HDM implemented originally in $^{24,25}$ and shown in Table 2. In terms of physical fields, the two Higgs doublet fields $H_{1,2} \sim (2,1)$ are written as

\begin{align}
H_1 &= \left( \begin{array}{c}
G^+ \cos \beta - H^+ \sin \beta \\
\frac{1}{\sqrt{2}} (v_1 - h \sin \alpha + H \cos \alpha + i (G \cos \beta - A \sin \beta))
\end{array} \right), \\
H_2 &= \left( \begin{array}{c}
G^+ \sin \beta + H^+ \cos \beta \\
\frac{1}{\sqrt{2}} (v_2 + h \cos \alpha + H \sin \alpha + i (G \sin \beta + A \cos \beta))
\end{array} \right),
\end{align}

and their electroweak VEVs define $\tan \beta \equiv v_2/v_1$. The physical charged scalars are $H^\pm$, and, besides the three Goldstone bosons ($G,G^\pm$) eaten by $Z$ and $W^\pm$, there is a CP-odd physical neutral scalar $A$. The two CP-even neutral states $h$ and $H$ (mixing with the angle $\alpha$) are proposed to be the physical Higgs fields $h(125)$ and $H(750)$.

Conventionally, the VEVs $v_1 = v \cos \beta$ and $v_2 = v \sin \beta$ (which are related to the SM VEV $v = 246$ GeV by $v^2 = v_1^2 + v_2^2$) originate from $m_{11}^2$ and
$m_{22}^2$ terms through the minimization conditions of the most general CP-conserving 2HDM potential

$$V(H_1, H_2) = m_{11}^2 H_1^\dagger H_1 + m_{22}^2 H_2^\dagger H_2 - [m_{12}^2 H_1^\dagger H_2 + \text{h.c.}]$$

$$+ \frac{1}{2} \lambda_1 (H_1^\dagger H_1)^2 + \frac{1}{2} \lambda_2 (H_2^\dagger H_2)^2$$

$$+ \lambda_3 (H_1^\dagger H_1)(H_2^\dagger H_2) + \lambda_4 (H_1^\dagger H_2)(H_2^\dagger H_1)$$

$$+ \left\{ \frac{1}{2} \lambda_5 (H_1^\dagger H_2)^2 + [\lambda_6 (H_1^\dagger H_1) + \lambda_7 (H_2^\dagger H_2)] H_1^\dagger H_2 + \text{h.c.} \right\} .$$

(7)

It is possible to trade the five quartic couplings $\lambda_1$ to $\lambda_5$ for the four physical Higgs boson masses (as free input parameters) and the mixing parameter $\sin(\beta - \alpha)$.

The additional exotic scalar fields $\Phi \sim (5, -2)$ and $\chi \sim (7, 0)$ are totally symmetric tensors $\Phi_{abcd}$ and $\chi_{abcdef}$ providing a number of multiply-charged component states

$$\Phi_{1111} = \phi^+,$$

$$\Phi_{1122} = \frac{1}{\sqrt{6}} \phi^0,$$

$$\Phi_{1222} = \frac{1}{\sqrt{6}} \phi^-,$$

$$\Phi_{2222} = \phi^{-+}$$

$$\chi_{111111} = \chi^{+++},$$

$$\chi_{211111} = \frac{1}{\sqrt{6}} \chi^{++},$$

$$\chi_{222111} = \frac{1}{2\sqrt{3}} \chi^0,$$

$$\chi_{222211} = \frac{1}{\sqrt{6}} \chi^-.$$ (8)

where we distinguish $\phi^-$ and $(\phi^+)^*$ for the complex scalar.

The full scalar potential contains gauge invariant pieces

$$V(H_1, H_2, \Phi, \chi) = V(H_1, H_2) + V(\Phi) + V(\chi) + V_m(\Phi, \chi) + V_m(H_1, H_2, \Phi) + V_m(H_1, H_2, \chi) + V_m(H_1, H_2, \Phi, \chi) ,$$

(9)

where the first term $V(H_1, H_2)$ is explicated in [7] and we will not need explicit form of the terms $V(\Phi), V(\chi)$ and $V_m(\Phi, \chi)$ in this paper. The terms $V_m(H_1, H_2, \Phi)$ and $V_m(H_1, H_2, \chi)$ are important for the diphoton signal and therefore will be introduced later in (24) and (25). Finally, the last term is relevant for neutrino mass and will be discussed next.

**Neutrino mass:** This last term represents the $\tilde{Z}_2$-symmetric mixing potential

$$V_m(H_1, H_2, \Phi, \chi) = \kappa H_1 H_2 \Phi \chi + \text{h.c.} ,$$

(10)
which provides the couplings needed to close the three-loop neutrino mass diagram. After EWSB, the relevant 2HDM piece undergoes the substitution:

\[ \kappa (H_1^+ H_2^0 + H_2^+ H_1^0) \to v \kappa \cos 2\beta H^+. \]  

so that the resulting quartic vertices together with the appropriate Yukawa couplings

\[ \mathcal{L}_Y = -y_{e_i} \overline{L_i} L_i \overline{H_1} e_i - g_{\alpha i} \Phi^* \Sigma \alpha R + h.c. \]  

complete the neutrino mass diagram. In our lepton-specific 2HDM, only the Higgs doublet \( H_1 \) couples to the SM leptons, so that the SM lepton mass \( m_e \) corresponds to the Yukawa strength \( y_{e_i}^{SM} = y_{e_i} v_1 / v = \sqrt{2} m_e / v \).

Collecting all the pieces, we finally arrive at the resulting three-loop-generated lepton-number-breaking Majorana neutrino mass matrix \( M_{ij}^\nu \) for active neutrinos, which keeps the form of [25] and reads

\[ M_{ij}^\nu = \sum_{\alpha=1}^{3} C_{ij}^\alpha F(m_{H^\pm}, m_\Phi, m_\chi, m_{\Sigma_\alpha}). \]  

Here the coefficient \( C_{ij}^\alpha \) comprises the vertex coupling strengths

\[ C_{ij}^\alpha = \frac{7}{3} \kappa^2 \tan^2 \beta \cos^2 2\beta y_{e_i}^{SM} g_i^\alpha, \]  

and the loop integral is represented by the function \( F \), expressed in terms of the Passarino-Veltman function for one-loop integrals [26]. In the wide range of the parameter space, the magnitude of \( F \) is of the order \( 10^2 \) eV so that \( M_{ij}^\nu \) reproduces the neutrino masses with the coefficient \( C_{ij}^\alpha \leq 10^{-4} \) that is easily achieved with natural values of \( \mathcal{O}(1) \) for the couplings of the model.

3 Constraints from the diphoton signals

3.1 The one-loop model

After EWSB, the neutral components of the SM Higgs doublet \( \phi^0 \) and the triplet \( \Delta^0 \) mix with an angle \( \theta_0 \), yielding \( h(125) \) and \( H(750) \) candidates. As discussed above, the VEV for the neutral triplet component is constrained by electroweak measurements to be \( \langle \Delta^0 \rangle < \mathcal{O}(1) \) GeV so that we neglect effects of \( \mathcal{O}(\langle \Delta^0 \rangle / v) \). We also take the quartic coupling \( \lambda_7 \simeq 10^{-4} \) as deduced from the neutrino masses in Sec. 2.1. There are also charged components of the triplet \( \Delta^\pm \) and the charged scalar \( h^+ \) which enter into quantum loops
relevant for production and decays of the light SM-like Higgs $h(125)$ and its heavy relative $H(750)$.

**The 125 GeV Higgs:** For a sole hypercharge-zero scalar triplet extension of the SM, studied previously in detail in [27], the LHC diphoton signal has been studied in [28]. For the one-loop model at hand, containing additional charged singlet scalar $h^+$, we extend for completeness the previous study of the diphoton signal [14] to new mass region of charged BSM scalars in the loop, as motivated by the recently hinted 750 GeV resonance. As in [14], the scalar $h(125) \simeq \phi^0 \cos \theta_0$ is predominantly given by the neutral component of the SM Higgs doublet $\phi_0$, which couples via $c_S \phi^0 S^* S$ to BSM charged scalars $S(h^+, \Delta^+)$, and they in loop contribute to diphoton decay amplitude. Thereby, the $c_S$ couplings are linked to the couplings $\lambda_4$ and $\lambda_5$ in (2). In the conventions and notations from [29, 30], the enhancement factor with respect to the SM decay width is displayed in the left panel of Fig. 1. The horizontal lines in this figure highlight the current bound $R_{\gamma\gamma} = 1.17 \pm 0.27$ [31]. Since the contribution of the lighter among the two charged scalars $S$ dominates, this figure sets a bound on the respective coupling $c_S$.

Only the charged scalars which are sufficiently light may produce significant effects in the LHC diphoton Higgs signals, so that there is poor constraint on $c_S$ couplings of the charged scalars which exceed a half of mass of the $H(750)$ scalar particle.

**The 750 GeV scalar:** Here we attempt to fit the heavy state $H \simeq \Delta^0 \cos \theta_0$, which is predominantly $\Delta^0$ in this model, to the hinted $H(750)$ scalar particle. Let us first discuss the productions mechanisms for $H(750)$. For $\langle \Delta^0 \rangle = 0$ there is no tree-level coupling of $H$ to the SM fermions and vector bosons\(^1\) and therefore the gluon fusion production is negligible. We are thus led to consider the EW vector boson fusion (VBF) mechanisms. For resonance much heavier than electroweak scale, photon fusion production mechanism dominates and we neglect the contributions from fusion of weak bosons (see discussion in [32]). The diphoton signal strength at $\sqrt{s} = 13$ TeV from the photon fusion is given by [12]:

$$
\sigma_{\gamma\gamma} \equiv \sigma(pp \rightarrow H \rightarrow \gamma\gamma) = 10.8 \text{ pb} \times \frac{\Gamma_H}{45 \text{ GeV}} \times \text{Br}(H \rightarrow \gamma\gamma)^2, \quad (15)
$$

where we account for the photoproduction that includes both elastic and

\(^1\)In general $g_{Hff}$ and $g_{HVV}$ are $\sim \sin \theta_0 \sim \langle \Delta^0 \rangle$ which is small. However, if $2M_{\Delta^+}^2 = M_{H(750)}^2 + M_{h(125)}^2$ the mixing can become sizeable [27]. We assume this does not happen here.
Figure 1: Enhancement factor $R_{\gamma\gamma}$ for the $h \to \gamma\gamma$ decay width in dependence on scalar coupling $c_S$ and the mass $m_S$ of the lighter charged scalar (left). Region of parameter space where one-loop model explains 750 GeV diphoton resonance (light/green) allowed (dark/grey) by the LHC 8 TeV constraints (right).

inelastic contributions [33]. To estimate the contributions of charged scalars to the one-loop generated $H\gamma\gamma$ coupling, we use Lagrangian (2). Here we notice that the leading trilinear couplings $\lambda_{H\Delta^+\Delta^-} \sim \lambda_3 \langle \Delta^0 \rangle \cos \theta_0$ and $\lambda_{Hh^+h^-} \sim \lambda_6 \langle \Delta^0 \rangle \cos \theta_0$ relevant for the charged scalar loop vanish in the limit $\langle \Delta^0 \rangle = 0$ and the remaining quartic couplings are negligible. We therefore need to consider the charged fermion loops and the leading contribution from Yukawa couplings in (3) is represented by $g_3 \bar{E}_L \Delta E_R + h.c.$ term. The vector-like fermion loop-generated couplings of 750 GeV candidate to different channels with SM gauge bosons for the degenerate coupling $\lambda$ read (e.g. [34]):

$$g_{H\gamma\gamma} = \lambda \alpha \sum_F \frac{Q_F^2}{m_F} \left\{ \frac{S_{1/2}(\tau_F)}{m_F} \right\},$$

$$g_{HZ\gamma} = \lambda \alpha \sum_F \frac{\sqrt{2} Q_F (T_{3F} - s_W^2 Q_F)}{s_W c_W} \left\{ \frac{S_{1/2}(\tau_F)}{m_F} \right\},$$

$$g_{HZZ} = \lambda \alpha \sum_F \frac{\left\{ (T_{3F} - s_W^2 Q_F)^2 \right\}}{s_W^2 c_W^2} \left\{ \frac{S_{1/2}(\tau_F)}{m_F} \right\},$$

$$g_{HWW} = \lambda \alpha \sum_F \frac{\sqrt{2} (T_F - T_{3F})(T_F + T_{3F} + 1)}{2 s_W^2} \left\{ \frac{S_{1/2}(\tau_F)}{m_F} \right\}.$$ (16)
Here, $T_F$ is the weak isospin of the loop-fermion $F$, the triangle loop function is given by $S_{1/2}(\tau_F) = 2\tau_F(1 + (1 - \tau_F) \arcsin(1/\sqrt{\tau_F}))$, and the respective variable is $\tau_F = 4m_F^2/M_H^2$. The couplings include symmetrization factors for identical particles in the final state, and are normalized so that, neglecting masses of the $W$ and $Z$ bosons give:

$$\Gamma(H \to VV) = \frac{M_H}{64\pi^3} \left| \frac{M_H g_{HVV}}{2} \right|^2.$$  \hspace{1cm} (17)

For degenerate loop masses, the couplings can be compactly expressed in terms of quadratic Dynkin indices $I_1$ and $I_2$ of the loop-fermion SM group representations:

$$g_{H\gamma\gamma} = \lambda \alpha (I_1 + I_2) \frac{S_{1/2}(\tau_F)}{m_F}, \quad g_{HZZ} = \sqrt{2} \lambda \alpha \left( \frac{c_W}{s_W} I_2 - \frac{s_W}{c_W} I_1 \right) \frac{S_{1/2}(\tau_F)}{m_F},$$

$$g_{HZ\gamma} = \sqrt{2} \lambda \alpha \left( \frac{c_W^2}{s_W} I_2 + \frac{s_W^2}{c_W} I_1 \right) \frac{S_{1/2}(\tau_F)}{m_F}, \quad g_{HWW} = \sqrt{2} \lambda \alpha \left( \frac{I_2}{s_W^2} \right) \frac{S_{1/2}(\tau_F)}{m_F}. \hspace{1cm} (18)$$

For the vector-like fermion $E_{L,R}$ at hand with multiplicity $N_E = 3$, we have $\lambda = g_3 \cos \theta_0 N_E$, $I_1 = 1/2$, $I_2 = 1/2$. For the resulting ratio of the decay widths

$$R_{VV} \equiv \frac{\Gamma(H \to VV)}{\Gamma(H \to \gamma\gamma)},$$

we obtain

$$R_{WW} \approx 9.1, \quad R_{ZZ} \approx 3.2, \quad R_{Z\gamma} \approx 0.8. \hspace{1cm} (20)$$

This results in a branching ratio $Br(H \to \gamma\gamma) \approx 7\%$. Comparing to the diphoton signal strength $[15]$, one can explain the diphoton resonance with cross-section of 3-9 fb by using narrow width of the resonance $\Gamma_H \sim 2.5 - 7.5$ GeV.

In this narrow width scenario, leading to $\Gamma(H \to \gamma\gamma) = 0.18 - 0.53$ GeV, we can now investigate the influence of the constraints coming from the searches for resonances decaying to gauge boson pairs at the LHC 8 TeV run. Constraints on the cross sections $\sigma_{VV}^{8\text{TeV}} \equiv \sigma(pp \to H \to VV)$ are $[35, 36, 37, 38, 39, 40]$

$$\sigma_{WW}^{8\text{TeV}} < 40 \text{ fb}, \quad \sigma_{ZZ}^{8\text{TeV}} < 12 \text{ fb}, \quad \sigma_{Z\gamma}^{8\text{TeV}} < 11 \text{ fb}, \quad \sigma_{\gamma\gamma}^{8\text{TeV}} < 1.5 \text{ fb}. \hspace{1cm} (21)$$

To make a comparison between 8 TeV data (always explicitly indicated) and 13 TeV data, we need the value for the gain ratio $r_{\gamma\gamma}$ of the photon fusion production cross-sections at 13 TeV and at 8 TeV, so that

$$\sigma_{VV}^{8\text{TeV}} = \frac{\sigma_{\gamma\gamma}}{r_{\gamma\gamma}} R_{VV}. \hspace{1cm} (22)$$
This gain ratio is often taken to be $r_{\gamma\gamma} \approx 2$ \cite{11}, which would create strong tension with non-observation of the diphoton resonance in the 8 TeV LHC data. However, more elaborate analyses \cite{32,42}, taking into account also elastic emission of the photon as well as finite proton size effects lead to increased ratios up to 3.9, alleviating this tension. We take average value of $r \approx 3$ and obtain for the $\sigma_{\gamma\gamma} = 3 - 9 \text{ fb}$ range

$$
\sigma_{8\text{TeV}}^{\gamma\gamma} = 3 - 9 \text{ fb }, \sigma_{8\text{TeV}}^{8\text{TeV}} = 3 - 10 \text{ fb }, \sigma_{8\text{TeV}}^{8\text{TeV}} = 0.8 - 2.4 \text{ fb }, \sigma_{8\text{TeV}}^{8\text{TeV}} = 1 - 3 \text{ fb } .
$$

(23)

We see that the LHC 8 TeV run constraint on $\sigma_{8\text{TeV}}^{8\text{TeV}}$ is violated for parameters corresponding to larger values of $\sigma_{\gamma\gamma}$, and that $\sigma_{\gamma\gamma} \sim 3 - 4.5 \text{ fb}$ is preferred. Even in this case, one expects that additional gauge boson pairs from hinted 750 GeV resonance should show up soon as more data are gathered in the LHC 13 TeV run. Results above are summarized in Fig. 1(right), showing that, most importantly, for the dominant portion of the parameter space this model requires either non-perturbative value of the coupling $g_3 > 4\pi$ or larger multiplicities $N_E > 3$. For $N_E = 3$, the value $g_3 \approx 4\pi$ is achieved only for $m_E \approx 375 \text{ GeV}$.

We might improve the capacity of our model to account for a diphoton excess by introducing appropriate coloured degrees of freedom \cite{8}. Numerous models employed a vector-like singlet quark to enhance the production cross section. In the present case it amounts to extending the radiative model \cite{14} to the quark-lepton symmetric version containing the vector-like top-partner. Comparing to relatively weak bounds for charged and neutral leptons, typically around 100 GeV \cite{43}, the corresponding limits for new heavy charge-2/3 quarks are 720-920 GeV \cite{14} and 715-950 GeV \cite{15}. Instead of trying to reproduce the diphoton excess with beyond SM fermions we can try to employ higher electroweak scalar multiplets containing a plethora of charged states. Such scenario is offered in a recent three-loop neutrino mass model \cite{15}, which we consider in the next section.

### 3.2 The three-loop model

In this model the hinted $H(750)$ scalar particle is the heavy CP-even neutral scalar emerging from the 2HDM. The $H(750)$ state does not couple to exotic quintuplet fermion $\Sigma$ in gauge invariant way. We therefore consider the contributions to diphoton signal from the exotic charged scalar particles contained in fields $\Phi$ and $\chi$ defined in \cite{8}.

Let us start with quartic vertices which generate triangle loops with exotic charged scalars for diphoton decays. These couplings can be read from the
scalar potentials contained in (9):

\[ V_m(H_1, H_2, \chi) \supset (\tau_1 H_1^\dagger H_1 + \tau_2 H_2^\dagger H_2)\chi^\dagger \chi, \quad (24) \]

and

\[ V_m(H_1, H_2, \Phi) \supset (\sigma_1 H_1^\dagger H_1 + \sigma_2 H_2^\dagger H_2)\Phi^\dagger \Phi + (\sigma'_1 H_1^\dagger H_1 + \sigma'_2 H_2^\dagger H_2)\Phi^* \Phi. \quad (25) \]

We start with (24) where the trilinear couplings strengths \( h(125) \chi^\dagger \chi \) and \( H(750) \chi^\dagger \chi \) are extracted after using the VEVs \( v_1 = v \cos \beta \) and \( v_2 = v \sin \beta \) in one of the doublets. This substitution leads to the universal coupling for all charged components of real scalar septuplet \( \chi \) to \( h(125) \) and \( H(750) \)

\[ V_\chi = (\tau_1 H_1^0 H_1^0 + \tau_2 H_2^0 H_2^0)\chi^\dagger \chi = \]

\[ = v\chi^\dagger \chi \left[ H(\tau_1 \cos \alpha \cos \beta + \tau_2 \sin \alpha \sin \beta) + h(\tau_1 \sin \alpha \cos \beta + \tau_2 \cos \alpha \sin \beta) \right]. \quad (26) \]

By working in the following in the “alignment limit” of the 2HDM [22]

\[ \tan \beta = 1 , \quad \sin(\beta - \alpha) = 1 , \quad (27) \]

and assuming that couplings satisfy the relation

\[ \tau_1 = -\tau_2 \equiv \tau \quad (28) \]

will lead us to

\[ V_\chi = v \tau \left[ \cos(\beta + \alpha) H - \sin(\beta + \alpha) h \right] \chi^\dagger \chi = v \tau H \chi \chi. \quad (29) \]

This alignment limit identifies the light state as SM-like \( h(125) \), such that its diphoton decay acquires no contribution from (29). Explicitly, the couplings of the charged components of the septuplet to \( H(750) \) are:

\[ V_\chi = \tau v (\chi^+ \chi^- + \chi^{++} \chi^{--} + \chi^{+++} \chi^{---}) H. \quad (30) \]

The septuplet scalar components are degenerate at the tree-level

\[ m^2_\chi = \mu^2_\chi + \frac{\tau}{2} v^2 (\cos^2 \beta - \sin^2 \beta), \quad (31) \]

where the EWSB correction vanishes for \( \tan \beta = 1 \).

Similarly, for the quintuplet \( \Phi \), we impose equivalent conditions on the couplings in (25),

\[ \sigma_1 = -\sigma_2 \equiv \sigma , \quad \sigma'_1 = -\sigma'_2 \equiv \sigma' , \quad (32) \]
so that the trilinear couplings of $h(125)$ to the charged components of the quintuplet vanish. The $H(750)$ couplings to these charged components of the quintuplet, relevant for the $H \rightarrow \gamma \gamma$ decay, are

$$V_{\Phi} = vH(c_{\Phi^+} \Phi^{++} + c_{\Phi^-} \Phi^{--} + c_{\Phi^{++}} \Phi^{++} + c_{\Phi^{---}} \Phi^{---} + c_{\Phi^{---}} \Phi^{---})(33)$$

where the newly introduced couplings simplify according to (32) as

$$c_{\Phi^+} = \sigma, \ c_{\Phi^0} = \sigma + \frac{\sigma'}{4}, \ c_{\Phi^-} = \sigma + \frac{\sigma'}{2}, \ c_{\Phi^{--}} = \sigma + \frac{3\sigma'}{4}, \ c_{\Phi^{---}} = \sigma + \sigma'.(34)$$

In contrast to septuplet case, the EWSB contributions to the mass of different components of the complex quintuplet $\Phi$ are not the same and are given as

$$m_{\Phi(Q)}^2 = \mu_{\Phi}^2 + \frac{1}{2}v^2(\cos^2 \beta - \sin^2 \beta)c_{\Phi(Q)}. \quad (35)$$

Figure 2: Cross section for $pp \rightarrow H(750) \rightarrow \gamma \gamma$ (dashed lines) in the three-loop neutrino mass model for ranges of values for coupling (left) and mass parameters (right). Grey area is excluded by LHC search for $pp \rightarrow H \rightarrow \gamma \gamma$ at 8 TeV.

Again for $\tan \beta = 1$ the EWSB contributions vanish.

In the three-loop model, the diphoton excess may be explained by the gluon-fusion production process of $H$ and $A$. In the lepton-specific 2HDM at hand, only $H_2$ couples to the SM quarks and the relevant couplings of $H(750)$ in
the alignment limit are given by \((V = W^\pm, Z)\) [8]:

\[
\begin{align*}
\frac{g_{Hu}}{g_{Hu}^{SM}} &= \cos(\beta - \alpha) - \frac{\sin(\beta - \alpha)}{\tan \beta} = -1 \\
g_{Hu}^{SM} &= \frac{1}{\tan \beta} = 1 \\
g_{HV} &= 2 \cos(\beta - \alpha) \frac{m_V^2}{v} = 0 .
\end{align*}
\] (36)

The loop of the quintuplet and septuplet charged scalar states contributes only to the decay of the CP-even \(H\) boson, so that the decay rate of \(A\) into diphoton is not enhanced by these charged scalar loops. The dominant coupling of \(A\) is to the top quark and for \(At \bar{t}\) taking the SM \(Ht \bar{t}\) value, this coupling mediates the \(\sigma(pp \to A \to \gamma\gamma) \sim 0.01\) fb which is about 1000 times smaller than required to explain the diphoton excess. For this reason we do not consider the contribution of the \(A\) state to the diphoton signal further. For the same reason we neglect the decay of \(H\) through the top-quark loop in the estimate of \(\sigma(pp \to H \to \gamma\gamma)\) and keep only the decay through the new charged states.

In the scenario where \(H\) is produced dominantly through gluon-gluon fusion, diphoton cross section is

\[
\sigma_{\gamma\gamma} = \sigma_{ggF} \text{Br}(H \to \gamma\gamma) ,
\] (37)

where cross section for \(pp \to ggX \to HX\) is \(\sigma_{ggF} = 737\) fb at \(\sqrt{s} = 13\) TeV, and \(\sigma_{ggF}^{8\text{TeV}} = 157\) fb at \(\sqrt{s} = 8\) TeV [46].

The decay width of the \(H(750)\) to the \(t\bar{t}\) pair is:

\[
\Gamma(H \to t\bar{t}) = \frac{\alpha M_H}{8 \sin^2 \theta_W} \frac{m_t^2}{m_W^2} (1 - \frac{4m_t^2}{m_H^2})^{3/2} \approx 30\) GeV (38)

which is roughly what is observed by ATLAS [3]. We therefore take the masses of the new charged scalar states to be \(\mu_{\chi, \Phi} > 375\) GeV as otherwise the decay channel of \(H(750)\) to these states opens up and the resonance quickly becomes very wide.

Additional subleading contributions to the \(H(750)\) width are provided by the decays into SM vectors. In the alignment limit, the tree-level couplings \(H(750)VV\), from [36], are absent so that these decay modes are generated only at one-loop level. Again, it is convenient to introduce the effective couplings \(g_{HV\nu}\) of \(H(750)\) to the SM gauge bosons. They can be obtained from those in [16] with substitutions of the corresponding terms in curly braces

\[
\lambda \sum_F \{ \cdots \} \frac{A_{1/2}(\tau_F)}{m_F} \longrightarrow \tau \sum_S \{ \cdots \} \frac{v A_0(\tau_S)}{2m_S^2} ,
\] (39)
Figure 3: The total decay width of $H(750)$ particle in the three-loop neutrino mass model for the generic choice of the parameters.

for the real septuplet contribution, and

$$\lambda \sum \{ \cdots \} \frac{A_{1/2}(\tau_F)}{m_F} \rightarrow \sum S \left( \sigma + \sigma' \left( \frac{2 - T_{3S}}{4} \right) \right) \{ \cdots \} \frac{v A_0(\tau_S)}{m_S^2}, \quad (40)$$

for the complex quintuplet. Here the factor $(2 - T_{3S})/4$ accounts for the non-universality of coupling to $H$ [34], and should be changed to $(3 - T_{3S})/8$ in the sole case of $g_{HWW}$. These constants are normalized so that, neglecting masses of the $W$ and $Z$ bosons,

$$\Gamma(H \rightarrow VV) = \frac{M_H}{256\pi^3} \left| \frac{M_H g_{HVV}}{2} \right|^2. \quad (41)$$

The variable $\tau_S \equiv 4m_S^2/m_H^2$ and the loop function is given by $A_0(\tau_S) \equiv -\tau_S(1 - \tau_S \arcsin^2(1/\sqrt{\tau_S}))$. For the degenerate couplings $\tau = \sigma = \sigma'$, this leads to the ratios of diboson to diphoton decay widths $[19]$

$$R_{WW} \approx 17.8, \quad R_{ZZ} \approx 4.9, \quad R_{Z\gamma} \approx 3.1. \quad (42)$$

The domination of the $WW$ channel above can be understood as the quintuplet contributes to both $H \rightarrow W^+W^-$ and $ZZ$ channels while septuplet, as a real multiplet, contributes only to $H \rightarrow W^+W^-$. The LHC 8 TeV run data constraints $[21]$ are shown by grey area in Fig. 2 where, like in the one-loop model case, $\gamma\gamma$ channel provides the most stringent bound. \footnote{We have also checked the 8 TeV data constraints from the remaining channels such as $tt$ and di-jets.}
The total width of $H(750)$ for the generic choice of the parameters is shown in Fig. 3. It is dominated by the $tt$ channel, so that even in the extreme case when $\tau = \sigma = \sigma' = 8$, $m_\chi = m_\Phi = 375$ GeV, the branching ratio for diphoton channel is only

$$Br(H \to \gamma\gamma) = 0.013.$$  \hfill (43)

Intriguingly, in the range of parameter space where the model can accommodate diphoton cross-section, it also robustly predicts the large total width of 30-50 GeV. In Fig. 4 we show the diphoton cross section as a function of the parameters of the model compared to combined range of 3-9 fb for ATLAS and CMS diphoton anomaly.

![Graph showing diphoton cross section](image)

Figure 4: Cross section for $pp \to H(750) \to \gamma\gamma$ in the three-loop neutrino mass model as a function of model parameters compared to combined range of 3-9 fb for ATLAS and CMS diphoton anomaly (green).

### 4 Vacuum stability and perturbativity

Minimal scenarios relying on extra singlet scalars and vector-like BSM fermions correspond to the particle content used in widely studied class of “simplified models for the Higgs physics” (e.g. [47] and Refs. [21–29] therein). By employing here a scalar field in the adjoint representation in the one-loop neutrino-mass scenario, we can only achieve the required diphoton signal strength for non-perturbative values of the couplings [49] or for many copies of vector-like fermions. A summary of the detailed outcome of this model is
Figure 5: Scale where the weak isospin coupling Landau pole appears in the three-loop neutrino mass model in dependence of masses of new particles.

presented in the first row in Table 3. We can contrast it to a recent claim [48] that already one family of vector-like quarks and leptons with SM charges may be enough to explain the 750 GeV diphoton excess.

| Model | $J^C_{\gamma} \Gamma_{\gamma}(\text{GeV})$ | Production | LP | $\text{Br}_{WW}$ | $\text{Br}_{\gamma\gamma}$ | $\text{Br}_{Z\gamma}$ | $\text{Br}_{ZZ}$ | $\text{Br}_{H}$ |
|-------|----------------------------------|-----------|----|----------------|----------------|----------------|----------------|-------------|
| 1-loop | $0^{++}$ 2.5-7.5 | $\gamma\gamma$-fusion | Absent | 64% | 7% | 6% | 23% | – |
| 3-loop | $0^{++}$ 30-50 | $gg$-fusion | $10^6$ GeV | 23% | 1% | 4% | 6% | 66% |

Table 3: Comparison between the neutrino mass models. In the three-loop model the branching ratios are calculated for the benchmark point in [43] leading to the total width $\Gamma_{750} \approx 45$ GeV.

In the three-loop neutrino-mass scenario considered here, the charged components of exotic multicomponent scalar fields in a loop contribute to the diphoton decay of the neutral scalar in the 2HDM context, as presented in the second row in Table 3. We can contrast this to a recent three-loop radiative neutrino model with a local hidden U(1) symmetry [50] with another set of multiply charged particles introduced to explain the 750 GeV diphoton excess. The three-loop model at hand is under a well known threat that invoking large multiplets [20] leads to Landau poles (LP) considerably below the Planck scale [51], potentially sensitive to two-loop RGE [52] effects. For the $SU(2)_L$ gauge coupling $g_2$, this threat has been addressed in [53] for
the particle content of two scotogenic three-loop neutrino mass models [15, 54] aiming at accidental DM protecting $Z_2$ symmetry. Thereby the three-loop model at hand [15] is less affected by this threat, and its exposure to additional scrutiny presented in Fig. 5 shows that the LP appears around $10^6$ GeV.

As for the quartic couplings, the large values of the “mixed” scalar couplings $\tau_{1,2}$ and $\sigma_{1,2}'$ required to explain the di-photon excess and negative values for some of them from (28) and (32), put the stability of the scalar potential and perturbative control over the model in danger. Here, we highlight the possible ways out of these difficulties.

First of all, we may depart from the limit of degenerate couplings, $\tau = \sigma = \sigma'$, chosen for simplicity of the presentation in the previous section on the di-photon signal. In particular, we may choose initial value $\tau = 0$ or $\sigma = \sigma' = 0$ at the particle threshold to turn off contributions to the di-photon signal from the septuplet $\chi$ or quintuplet $\Phi$, respectively. Related to this choice, we now discuss the different remedies that can be envisioned in the septuplet $\chi$ and the quintuplet $\Phi$ quartic sectors by activating them one at a time.

In the quartic sectors at hand, there are three additional quartic self-couplings of the $\Phi^4$-type and two additional quartic self-couplings of the $\chi^4$-type [55] which we are still free to choose. There are additional quartics of the $\chi^2\Phi^2$-type which we choose to be zero in order to decouple the septuplet and the quintuplet quartic sectors.

Now, the stability of the potential will be endangered only due to those active “mixed” quartics which are negative by the virtue of (28) or (32), which may lead to an unbounded potential. Such quartics have to be balanced in the stability condition by appropriately chosen positive values of the corresponding quartic self-couplings (the stability condition for the septuplet sector has been explicated in [56]). For the other inactive “mixed” quartics we may choose the “self” quartics to be zero at the threshold as well.

As for the perturbative control of the model, it was shown in [55] that for the inactive sector the LP will appear at:

$$\Lambda_\Phi \sim 10^9 \left( \frac{m_\Phi}{100 \text{ GeV}} \right)^{1.28} \text{GeV}, \quad \Lambda_\chi \sim 10^6 \left( \frac{m_\chi}{100 \text{ GeV}} \right)^{1.13} \text{GeV}, \quad (44)$$

for the quintuplet and the septuplet sectors, respectively. These values are not lower than $10^6$ GeV LP of the mentioned $SU(2)_L$ gauge coupling, so that we have a control over the inactive sector. As for the active scalar, we need to

\footnote{Of course, this will require even bigger contribution of the remaining “mixed” quartic to the di-photon signal to compensate for the absence of the other multiplet.}
consider the possible Yukawa couplings of this scalar which provide a negative contribution to the one-loop beta function of the quartic self-couplings and may help to push the LP up. Unfortunately, for symmetry reasons, for the septuplet $\chi$ the obvious $\chi\Sigma\Sigma$ choice for the Yukawa term vanishes. Following [50], one may introduce the additional $SU(2)_L$-triplet fermion $\zeta = (3, 0)$ to have a Yukawa coupling $\chi\Sigma\zeta$ which may be fine-tuned to delay the appearance of the LP. For the quintuplet $\Phi$, the needed Yukawa coupling $g_{\text{in}}$ already exists in our model in [12] and can be fine-tuned similarly.

Finally, the dominant contribution to the 1-loop beta functions of the “mixed” quartics $\tau_{1,2}$ and $\sigma_{1,2}$ is given in [55]:

$$\beta_x \sim 4x^2 - \frac{153}{2} xg_2^2 + 36g_2^4, \quad \beta_y \sim 4y^2 - \frac{81}{2} yg_2^2 + 18g_2^4. \quad (45)$$

Here, these couplings are denoted by $x = \tau_{1,2}$ and $y = \sigma_{1,2}$ and obey the conditions $\tau_1 = -\tau_2$ and $\sigma_1 = -\sigma_2$ from (28) and (32). Due to large negative coefficients of $xg_2^2$ and $yg_2^2$ terms, it is easy to check that for $x < 7.9$ and $y < 4.1$ the sign of the beta function is such that by the running of the “mixed” quartic coupling its initial value will be driven towards decreasing its absolute value. As seen in Fig.4, this parameter space overlaps with the values needed to explain the di-photon signal. As we increase further the energy, the $SU(2)_L$ gauge coupling $g_2$ increases towards its LP and the $g_2^4$-term will eventually start to dominate the evolution, driving these “mixed” quartics to the LP as well. We therefore expect that the dangerously-large initial values of the “mixed” quartics needed to explain the di-photon signal will develop LP $\sim 10^6$ GeV together with the $g_2$ coupling.

5 Discussion and conclusions

The very establishment of the SM is a successful bottom-up story: the Nature has been kind to us in revealing the SM degrees of freedom, providing the answers to emerging questions gradually, one at a time. Additional BSM degrees of freedom seem to be most tangible when addressing the contemporary riddle of the of neutrino-mass origin in the bottom-up way, since the BSM fields which produce neutrino masses radiatively may be accessible at the LHC.

In the present account we take under scrutiny two radiative neutrino mass scenarios protected from tree-level contributions. An automatic $Z_2$ symmetry in the first (one-loop mass model) case forbids a tree-level mass contribution, and an accidental $Z_2$ symmetry in the second (three-loop mass model) case

\footnote{We took the SM value of the $SU(2)_L$ gauge coupling $g_2(100 \text{ GeV}) \approx 0.65$.}
protects the stability of exotic BSM fields needed to close the three-loop mass diagram.

Additional arguments exposed in the previous section justify a hope that the three-loop mass model at hand may provide an appealing UV completion, in the same way as it is expected that the TeV-extensions of the SM would preserve the accidental baryon number of the SM to sufficient accuracy.

Let us stress that the underlying $\tilde{\mathbb{Z}}_2$ symmetry imposed on the 2HDM potential (7) is exact as long as $m_{12}^2$, $\lambda_6$ and $\lambda_7$ terms vanish. A detailed study within the 2HDM scenario [57, 58] shows that in the absence of the soft breaking $m_{12}^2$ term the exact $\tilde{\mathbb{Z}}_2$ symmetry does not require intervention of new physics below $\sim 10$ TeV scale. Indeed, at this scale the exotic states of three-loop scotogenic model [15] already enter into the play. Despite the existence of the fortuitous DM-protecting symmetry $\mathbb{Z}_2$, induced by $\tilde{\mathbb{Z}}_2$ symmetry, the portion of the parameter space for the three-loop mass model which could reproduce the 750 GeV diphoton resonance seems to account only for a sub-dominant portion of the dark matter.

The hinted diphoton signal constrains the value of particular “mixed” quartic couplings of the model as a welcome observable. On the other hand, a large value of this coupling leads to well known Landau pole threat. Interestingly enough, there is another virtue of the aligned 2HD sector completed with extra scalars in the context of the three-loop model. The mixture of the 2HD and exotic scalar sector provides a fortuitous remedy for the too early Landau pole for relevant couplings, due to signs and sizes of the coefficients in the relevant beta functions.

To conclude, the existing hints of the diphoton resonance opened a hope that the history of prediscoveries of new particles through the loop amplitudes may be repeated in the scenarios taken under scrutiny. A verification of the diphoton signals at the LHC may enable us to discriminate between scenarios offering different BSM fields. On the other hand, if these hints disappear with a larger integrated luminosity, they will still constrain the parameter space of proposed extensions of the SM with new charged states affecting considered loop amplitudes.

**Note.** In the interest of open and reproducible research, computer code used in production of final plots for this paper is made available at [https://github.com/openhep/ackp16](https://github.com/openhep/ackp16).
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References

[1] G. Aad et al. [ATLAS Collaboration], Observation of a new particle in the search for the Standard Model Higgs boson with the ATLAS detector at the LHC, Phys. Lett. B 716, 1 (2012) [arXiv:1207.7214 [hep-ex]].

[2] S. Chatrchyan et al. [CMS Collaboration], Observation of a new boson at a mass of 125 GeV with the CMS experiment at the LHC, Phys. Lett. B 716, 30 (2012) [arXiv:1207.7235 [hep-ex]].

[3] M. Aaboud et al. [ATLAS Collaboration], Search for resonances in diphoton events at $\sqrt{s}=13$ TeV with the ATLAS detector, arXiv:1606.03833 [hep-ex].

[4] V. Khachatryan et al. [CMS Collaboration], Search for resonant production of high-mass photon pairs in proton-proton collisions at $\sqrt{s} = 8$ and 13 TeV, arXiv:1606.04093 [hep-ex].

[5] G. C. Branco, P. M. Ferreira, L. Lavoura, M. N. Rebelo, M. Sher and J. P. Silva, Theory and phenomenology of two-Higgs-doublet models, Phys. Rept. 516, 1 (2012) [arXiv:1106.0034 [hep-ph]].

[6] A. Angelescu, A. Djouadi and G. Moreau, Scenarios for interpretations of the LHC diphoton excess: two Higgs doublets and vector-like quarks and leptons, Phys. Lett. B 756, 126 (2016) [arXiv:1512.04921 [hep-ph]].

[7] W. Altmannshofer, J. Galloway, S. Gori, A. L. Kagan, A. Martin and J. Zupan, 750 GeV diphoton excess, Phys. Rev. D 93, 095015 (2016) [arXiv:1512.07616 [hep-ph]].

[8] E. Bertuzzo, P. A. N. Machado and M. Taoso, Di-Photon excess in the 2HDM: hastening towards the instability and the non-perturbative regime, arXiv:1601.07508 [hep-ph].

[9] C. W. Murphy, Vector Leptoquarks and the 750 GeV Diphoton Resonance at the LHC, Phys. Lett. B 757, 192 (2016) [arXiv:1512.06976 [hep-ph]].
[10] S. Di Chiara, L. Marzola and M. Raidal, *First interpretation of the 750 GeV diphoton resonance at the LHC*, Phys. Rev. D 93, 095018 (2016) [arXiv:1512.04939 [hep-ph]].

[11] H. Georgi and M. Machacek, *Doubly Charged Higgs Bosons*, Nucl. Phys. B 262, 463 (1985).

[12] M. Fabbrichesi and A. Urbano, *The breaking of the SU(2)_L × U(1)_Y symmetry: The 750 GeV resonance at the LHC and perturbative unitarity*, arXiv:1601.02447 [hep-ph].

[13] C-W. Chiang and A-L. Kuo, *Can the 750-GeV diphoton resonance be the singlet Higgs boson of custodial Higgs triplet model?*, arXiv:1601.06394 [hep-ph].

[14] V. Brdar, I. Picek and B. Radovčič, *Radiative Neutrino Mass with Scotogenic Scalar Triplet*, Phys. Lett. B 728, 198 (2014) [arXiv:1310.3183 [hep-ph]].

[15] P. Culjak, K. Kumericki and I. Picek, *Scotogenic RνMDM at three-loop level*, Phys. Lett. B 744, 237 (2015) [arXiv:1502.07887 [hep-ph]].

[16] S. S. C. Law and K. L. McDonald, *The simplest models of radiative neutrino mass*, Int. J. Mod. Phys. A 29, 1450064 (2014) [arXiv:1303.6384 [hep-ph]].

[17] S. S. C. Law and K. L. McDonald, *A Class of Inert N-tuplet Models with Radiative Neutrino Mass and Dark Matter*, JHEP 1309, 092 (2013) [arXiv:1305.6467 [hep-ph]].

[18] H. Okada and Y. Orikasa, *Radiative Neutrino Model with Inert Triplet Scalar*, arXiv:1512.06687 [hep-ph].

[19] A. Zee, *A Theory of Lepton Number Violation, Neutrino Majorana Mass, and Oscillation*, Phys. Lett. B 93, 389 (1980) [Erratum-ibid. B 95, 461 (1980)].

[20] M. Cirelli, N. Fornengo and A. Strumia, *Minimal dark matter*, Nucl. Phys. B 753, 178 (2006) [hep-ph/0512090]; M. Cirelli and A. Strumia, *Minimal Dark Matter: model and results*, Phys. Rev. D 80, 071702 (2009) [arXiv:0905.2710 [hep-ph]].

[21] S. Moretti and K. Yagyu, *750 GeV diphoton excess and its explanation in two-Higgs-doublet models with a real inert scalar multiplet*, Phys. Rev. D 93, 055043 (2016) [arXiv:1512.07462 [hep-ph]].
[22] X-F. Han and L. Wang, Lei, Implication of the 750 GeV diphoton resonance on two-Higgs-doublet model and its extensions with Higgs field, Phys. Rev. D 93, 055027 (2016) [arXiv:1512.06587 [hep-ph]].

[23] S. Kanemura, K. Tsumura, K. Yagyu and H. Yokoya, Fingerprinting nonminimal Higgs sectors, Phys. Rev. D 90, 075001 (2014) [arXiv:1406.3294 [hep-ph]].

[24] M. Aoki, S. Kanemura and O. Seto, Neutrino mass, Dark Matter and Baryon Asymmetry via TeV-Scale Physics without Fine-Tuning, Phys. Rev. Lett. 102, 051805 (2009) [arXiv:0807.0361 [hep-ph]].

[25] M. Aoki, S. Kanemura and O. Seto, Model of TeV Scale Physics for Neutrino Mass, Dark Matter and Baryon Asymmetry and its Phenomenology, Phys. Rev. D 80, 033007 (2009) [arXiv:0904.3829 [hep-ph]].

[26] G. Passarino and M. J. G. Veltman, One Loop Corrections For E+ E- Annihilation Into Mu+ Mu- In The Weinberg Model, Nucl. Phys. B 160, 151 (1979).

[27] P. Fileviez Perez, H. H. Patel, M. J. Ramsey-Musolf and K. Wang, Triplet Scalars and Dark Matter at the LHC, Phys. Rev. D 79, 055024 (2009) [arXiv:0811.3957 [hep-ph]].

[28] L. Wang and X-F. Han, LHC diphoton Higgs signal in the Higgs triplet model with Y=0, JHEP 1403, 010 (2014) [arXiv:1303.4490 [hep-ph]].

[29] M. Carena, I. Low and C. E. M. Wagner, Implications of a Modified Higgs to Diphoton Decay Width, JHEP 1208, 060 (2012) [arXiv:1206.1082 [hep-ph]].

[30] I. Picek and B. Radovčić, Enhancement of $h \rightarrow \gamma \gamma$ by seesaw-motivated exotic scalars, Phys. Lett. B 719, 404 (2013) [arXiv:1210.6449 [hep-ph]].

[31] G. Aad et al. [ATLAS Collaboration], Measurements of the Higgs boson production and decay rates and coupling strengths using pp collision data at $\sqrt{s} = 7$ and 8 TeV in the ATLAS experiment, Eur. Phys. J. C 76, 6 (2016) [arXiv:1507.04548 [hep-ex]].

[32] S. Fichet, G. von Gersdorff and C. Royon, Scattering light by light at 750 GeV at the LHC Phys. Rev. D 93, 075031 (2016) [arXiv:1512.05751 [hep-ph]].
C. Csaki, J. Hubisz, S. Lombardo and J. Terning, *Gluon vs. Photon Production of a 750 GeV Diphoton Resonance*, Phys. Rev. D 93, 095020 (2016) [arXiv:1601.00638 [hep-ph]].

J. Cao, L. Shang, W. Su, F. Wang and Y. Zhang, *Interpreting The 750 GeV Diphoton Excess Within Topflavor Seesaw Model*, arXiv:1512.08392 [hep-ph].

CMS Collaboration [CMS Collaboration], *Search for an Higgs Like resonance in the diphoton mass spectra above 150 GeV with 8 TeV data*, CMS-PAS-HIG-14-006.

G. Aad et al. [ATLAS Collaboration], *Search for high-mass diphoton resonances in pp collisions at $\sqrt{s} = 8$ TeV with the ATLAS detector*, Phys. Rev. D 92, 032004 (2015) [arXiv:1504.05511 [hep-ex]].

G. Aad et al. [ATLAS Collaboration], *Search for new resonances in $W\gamma$ and $Z\gamma$ final states in pp collisions at $\sqrt{s} = 8$ TeV with the ATLAS detector*, Phys. Lett. B 738, 428 (2014) [arXiv:1407.8150 [hep-ex]].

G. Aad et al. [ATLAS Collaboration], *Search for an additional, heavy Higgs boson in the $H \to ZZ$ decay channel at $\sqrt{s} = 8$ TeV in pp collision data with the ATLAS detector* Eur. Phys. J. C 76, 45 (2016) [arXiv:1507.05930 [hep-ex]].

V. Khachatryan et al. [CMS Collaboration], *Search for a Higgs Boson in the Mass Range from 145 to 1000 GeV Decaying to a Pair of W or Z Bosons*, JHEP 1510, 144 (2015) [arXiv:1504.00936 [hep-ex]].

G. Aad et al. [ATLAS Collaboration], *Search for a high-mass Higgs boson decaying to a W boson pair in pp collisions at $\sqrt{s} = 8$ TeV with the ATLAS detector*, JHEP 1601, 032 (2016) [arXiv:1509.00389 [hep-ex]].

R. Franceschini et al., *What is the $\gamma\gamma$ resonance at 750 GeV?*, JHEP 1603, 144 (2016) [arXiv:1512.04933 [hep-ph]].

C. Csaki, J. Hubisz and J. Terning, *Minimal model of a diphoton resonance: Production without gluon couplings* Phys. Rev. D 93, 035002 (2016) [arXiv:1512.05776 [hep-ph]].

K. A. Olive et al. [Particle Data Group Collaboration], *Chin. Phys. C* 38, 090001 (2014).
[44] V. Khachatryan et al. [CMS Collaboration], *Search for vector-like charge 2/3 T quarks in proton-proton collisions at sqrt(s) = 8 TeV*, Phys. Rev. D 93, 012003 (2016) arXiv:1509.04177 [hep-ex].

[45] G. Aad et al. [ATLAS Collaboration], *Search for production of vector-like quark pairs and of four top quarks in the lepton-plus-jets final state in pp collisions at \( \sqrt{s} = 8 \) TeV with the ATLAS detector*, JHEP 1508, 105 (2015) arXiv:1505.04306 [hep-ex].

[46] S. Heinemeyer et al. [LHC Higgs Cross Section Working Group Collaboration], doi:10.5170/CERN-2013-004 arXiv:1307.1347 [hep-ph].

[47] M. J. Dolan, J. L. Hewett, M. Kraemer and T. G. Rizzo, *Simplified Models for Higgs Physics: Singlet Scalar and Vector-like Quark Phenomenology*, arXiv:1601.07208 [hep-ph].

[48] M. Badziak, *Interpreting the 750 GeV diphoton excess in minimal extensions of Two-Higgs-Doublet models*, arXiv:1512.07497 [hep-ph].

[49] M. Son and A. Urbano, *A new scalar resonance at 750 GeV: Towards a proof of concept in favor of strongly interacting theories*, JHEP 1605, 181 (2016) arXiv:1512.08307 [hep-ph].

[50] P. Ko, T. Nomura, H. Okada and Y. Orikasa, *Confronting a New Three-loop Seesaw Model with the 750 GeV Diphoton Excess*, arXiv:1602.07214 [hep-ph].

[51] A. Salvio, F. Staub, A. Strumia and A. Urbano, *On the maximal diphoton width*, JHEP 1603, 214 (2016) arXiv:1602.01460 [hep-ph].

[52] L. Di Luzio, R. Gröber, J. K. Kamenik and M. Nardecchia, *Accidental matter at the LHC*, JHEP 1507, 074 (2015) arXiv:1504.00359 [hep-ph].

[53] D. Aristizabal Sierra, C. Simoes and D. Wegman, *Closing in on minimal dark matter and radiative neutrino masses*, arXiv:1603.04723 [hep-ph].

[54] A. Ahriche, K. L. McDonald, S. Nasri and T. Toma, *A Model of Neutrino Mass and Dark Matter with an Accidental Symmetry*, Phys. Lett. B 746, 430 (2015) arXiv:1504.05755 [hep-ph].

[55] Y. Hamada, K. Kawana and K. Tsumura, *Landau pole in the Standard Model with weakly interacting scalar fields*, Phys. Lett. B 747, 238 (2015) arXiv:1505.01721 [hep-ph].
[56] C. Cai, Z. M. Huang, Z. Kang, Z. H. Yu and H. H. Zhang, *Perturbativity Limits for Scalar Minimal Dark Matter with Yukawa Interactions: Septuplet*, Phys. Rev. D **92**, 115004 (2015) [arXiv:1510.01559 [hep-ph]].

[57] N. Chakrabarty, U. K. Dey and B. Mukhopadhyaya, *High-scale validity of a two-Higgs doublet scenario: a study including LHC data*, JHEP **1412**, 166 (2014) [arXiv:1407.2145 [hep-ph]].

[58] P. S. Bhupal Dev and A. Pilaftsis, *Maximally Symmetric Two Higgs Doublet Model with Natural Standard Model Alignment*, JHEP **1412**, 024 (2014) Erratum: [JHEP **1511**, 147 (2015)] [arXiv:1408.3405 [hep-ph]].