Is a WIMP explanation of the DAMA modulation effect still viable?

Gaurav Tomar	extsuperscript{a}, Sunghyun Kang	extsuperscript{a}, Stefano Scopel	extsuperscript{a}, Jong-Hyun Yoon	extsuperscript{b}

	extsuperscript{a}Department of Physics, Sogang University, Seoul, Korea, 121-742
\textsuperscript{b}Department of Physics, University of Helsinki, FI-00014 Helsinki, Finland

E-mail: tomar@sogang.ac.kr

Abstract. We show that the weakly interacting massive particle (WIMP) scenario of proton-philic spin-dependent inelastic dark matter can still provide a viable explanation of the observed DAMA effect in compliance with the constraints from other experiments. We also show that, although the COSINE-100 collaboration has recently tested the DAMA effect using the same target material, for the time being the comparison between DAMA and COSINE-100 still depends on the particle-physics model.

1. Introduction

The DAMA collaboration has been measuring for more than 15 years a yearly modulation effect in their sodium iodide target. Such effect has a statistical significance of more than 9\(\sigma\) and is consistent with what is expected from dark matter (DM) WIMPs. Recently, the DAMA/LIBRA-phase2 result has been released where, compared to previous data, now the energy threshold has been lowered from 2 keV electron-equivalent (keVee) to 1 keVee and the exposure has almost doubled [1]. As a result of lower threshold, DAMA/LIBRA experiment is now sensitive to WIMP-iodine interactions at low WIMP masses. In this work, we discuss a phenomenological scenario, proton-philic spin-dependent inelastic dark matter (pSIDM), that we have shown to explain the DAMA effect in agreement with xenon and germanium bounds. To achieve...
this, in the pSIDM scenario, we tuned the neutron to proton coupling ratio \( c_n/c_p = -0.028 \). But this scenario is still constrained by droplet detectors and bubble chambers (COUPP, PICASSO, PICO-60) which all use nuclear targets with an unpaired proton \((^{19}\text{F} \text{and/or} ^{127}\text{I})\).

Through inelastic DM (IDM) it is possible to reconcile the above scenario. In IDM a DM particle \( \chi_1 \) of mass \( m_{\chi_1} = m_{\chi} \) interacts with atomic nuclei exclusively by up-scattering to a second heavier state \( \chi_2 \) with mass \( m_{\chi_2} = m_{\chi} + \delta \). Basically, a minimal WIMP incoming speed is needed in the lab frame matching the kinematic threshold for inelastic upscatters given by,

\[
v_{\text{min}}^* = \sqrt{\frac{2\delta}{\mu_{\chi N}}},
\]

with \( \mu_{\chi N} \) the WIMP–nucleus reduced mass. If the WIMP mass \( m_{\chi} \) and the mass-splitting \( \delta \) are chosen in such a way that the hierarchy between \( v_{\text{min}}^* \) for sodium \( v_{\text{min}}^{*Na} \) and for fluorine \( v_{\text{min}}^{*F} \) with the WIMP escape velocity \( v_{\text{esc}} \),

\[
v_{\text{min}}^{*Na} < v_{\text{esc}}^* < v_{\text{min}}^{*F},
\]

is achieved then WIMP scatterings off fluorine turn kinematically forbidden while those off sodium can still serve as an explanation to the DAMA effect. Clearly, the trivial observation that the velocity \( v_{\text{min}}^* \) for fluorine is larger than that for sodium is at the core of the pSIDM mechanism.

3. Analysis
In the considered pSIDM scenario, we perform a \( \chi^2 \) analysis constructing the quantity,

\[
\chi^2(m_{\chi}, \delta, \sigma_0) = \sum_{k=1}^{14} \frac{[S_{m,k}(m_{\chi}, \delta, \sigma_0) - S_{m,k}^{\text{exp}}]^2}{\sigma_k^2},
\]

and minimize it as a function of \((m_{\chi}, \delta, \sigma_0)\). In the equation above, \( S_{m,k} \) and \( \sigma_k \) represent the modulation amplitudes and error measured by DAMA whereas \( S_{m,k}^{\text{exp}} \) represents the expected modulation rate. Considering a standard isotropic Maxwellian velocity distribution for WIMPs, in Fig. 1(a), the pSIDM scenario is compared to the corresponding 90% C.L. upper bounds from other DM searches [3]. In this plot, the parameters \( \delta = 18.3 \text{ keV}, m_{\chi} = 12.1 \text{ GeV} \) and \( \sigma_0 = 7.95 \times 10^{-35} \text{ cm}^2 \) correspond to the absolute minimum of \( \chi^2 \) \((\chi^2_{\text{min}} = 13.19)\). Clearly, the DAMA effect is in strong tension with the upper bounds from PICO-60, KIMS and PICASSO. Interestingly, COSINE-100 [2] that uses the same \( \text{NaI} \) target as DAMA does not exclude the pSIDM scenario. Basically, the large modulation fraction in pSIDM in comparison to the elastic case is the reason behind that. We estimated the ratio of the modulation amplitude to the time averaged amplitude, \( S_{m,DAMA}^{\text{DAMA}}/S_{0,DAMA}^{\text{DAMA}} = S_{m,COSINE}/S_{0,COSINE} \times S_{0,DAMA}^{\text{DAMA}} \geq 0.12 \), including a factor \( S_{m,COSINE}/S_{0,DAMA} \simeq 0.8 \) due to a difference between the energy resolutions and efficiencies in the two experiments, \( S_m^{\text{DAMA}} \simeq 0.02 \text{ events/kg/day/keVee} \) [1], and \( S_0^{\text{COSINE}} \lesssim 0.13 \text{ events/kg/day/keVee} \). In the pSIDM scenario, we found \( S_{m,DAMA}^{\text{DAMA}}/S_{0,DAMA} \gtrsim 0.40 \) which explains why COSINE-100 does not constrain pSIDM. The large modulation fraction in non-relativistic effective models [4], is also the main reason that COSINE-100 experiment can not rule out all the effective operators allowed by Galilean invariance [5].
The figure shows a graph with the x-axis labeled as $m_{\chi}$ (GeV) and the y-axis labeled as $\sigma_v$ (cm$^2$). The graph includes data points and error bars, and it appears to be related to the DAMA/LIBRA–phase2 data. The figure is likely a plot of the expected signal rate for different values of $m_{\chi}$.

The figure is described as follows:

Figure 1. (a) The 5–σ best-fit DAMA region for the pSIDM scenario is compared to the corresponding 90% C.L. upper bounds from other DM searches for a Maxwellian WIMP velocity distribution and the IDM mass splitting $\delta = 18.3$ keV. (b) Measurements of $\bar{\eta}_{[v_{\text{min}},1]}$ (DAMA/LIBRA) and upper bounds $\eta_{\text{lim}}$ for pSIDM in the benchmark point $m_{\chi}=11.4$ GeV, $\delta=23.7$ keV.

We further extended our analysis to the halo-independent approach in which the expected rate in a direct detection experiment is given by,

$$R_{[E'_1,E'_2]}(t) = \int_0^\infty dv_{\text{min}} \bar{\eta}(v_{\text{min}}, t) \mathcal{R}_{[E'_1,E'_2]}(v_{\text{min}}),$$

where $\bar{\eta}(v_{\text{min}}, t)$ is the halo function containing the dependence on astrophysics and $\mathcal{R}_{[E'_1,E'_2]}(v_{\text{min}})$ is the response function. Due to the revolution of the Earth around the Sun, the velocity integral $\bar{\eta}(v_{\text{min}}, t)$ shows an annual modulation that can be approximated by the first terms of a harmonic series,

$$\bar{\eta}(v_{\text{min}}, t) = \bar{\eta}^0(v_{\text{min}}) + \bar{\eta}^1(v_{\text{min}}) \cos[\omega(t-t_0)],$$

with the necessary requirement of $|\bar{\eta}^1| \leq \bar{\eta}^0$. It is possible to obtain the averages $\bar{\eta}_{[v_{\text{min}},1]}$ ($i = 0, 1$) directly from the experimental data $R_{[E'_1,E'_2]}^i$ as [6],

$$\bar{\eta}_{[v_{\text{min}},1]} = \frac{R_{[E'_1,E'_2]}^i}{\int_0^\infty dv_{\text{min}} \mathcal{R}_{[E'_1,E'_2]}(v_{\text{min}})}.$$

The net velocity intervals $[v_{\text{min}},1]$ are defined as those where the response function $\mathcal{R}_{[E'_1,E'_2]}(v_{\text{min}})$ is sizeably different from zero. In Fig. 1(b), the result for such procedure is shown for the DAMA/LIBRA–phase2 data with error bars for the benchmark point $m_{\chi}=11.4$ GeV and $\delta=23.7$ keV. Similarly following [6], the upper bound on $\bar{\eta}^0$ from upper limits on $R_{[E'_1,E'_2]}^\text{lim}$ is computed as,

$$\eta_{\text{lim}}^0 = \frac{R_{[E'_1,E'_2]}^\text{lim}}{\int_0^\infty dv_{\text{min}} \mathcal{R}_{[E'_1,E'_2]}(v_{\text{min}})}.$$
The corresponding upper limits at 90% C.L. are shown as continuous lines in Fig. 1(b) for the considered benchmark. It is clear that pSIDM cannot be ruled out as an explanation of the DAMA/LIBRA effect since in all the energy range of the signal one has $|\tilde{\eta}|_{v_{\min,1},v_{\min,2}} \ll \eta^{\text{lim}}$.

In Ref. [7] we also considered an extension of the present analysis to the case of the most general Galilean-invariant WIMP-nucleon effective contact interaction for a spin 0, 1/2 or 1 WIMP dark matter following the approach introduced in [8] and checked the compatibility of the DAMA effect in an inelastic scattering scenario. In particular in that analysis, we also included all possible interferences among operators and found that in comparison to the elastic case discussed in [8], inelastic scattering partially relieves but does not eliminate the existing tension between the DAMA effect and the constraints from other experiments, when a Maxwellian velocity distribution for WIMPs is considered. Interestingly in [7], a small region of the pSIDM parameter space scenario discussed here naturally arises for $m_\chi \approx 10$ GeV and $\delta \gtrsim 20$ keV.

4. Conclusion

We have analyzed the scenario of proton-philic spin-dependent inelastic dark matter (pSIDM) for the observed modulation amplitude by DAMA both considering the standard Maxwellian velocity distribution for WIMPs and adopting a halo-independent approach. Due to the lower threshold DAMA/LIBRA-phase2 is now sensitive to WIMP-iodine interactions at low WIMP masses and so pSIDM can no longer explain the DAMA effect for a Maxwellian velocity distribution of WIMP remaining consistent with other direct detection experiments. On the other hand when the WIMP velocity distribution departs from a standard Maxwellian, it is possible to explain the observed modulation amplitude by DAMA in consistency with the results from other direct detection experiments. The recent COSINE–100 bound is naturally evaded in the pSDIM scenario due to its large expected modulation fractions, because inelastic scattering is sensitive to the high-speed tail of the velocity distribution.

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