Parent Stars of Extrasolar Planets. XI. Trends with Condensation Temperature Revisited

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ABSTRACT
We report the results of abundance analyses of new samples of stars with planets and stars without detected planets. We employ these data to compare abundance-condensation temperature trends in both samples. We find that stars with planets have more negative trends. In addition, the more metal-rich stars with planets display the most negative trends. These results confirm and extend the findings of Ramirez et al. (2009) and Melendez et al. (2009), who restricted their studies to solar analogs. We also show that the differences between the solar photospheric and CI meteoritic abundances correlate with condensation temperature.

1 INTRODUCTION
Melendez et al. (2009) were the first to detect a significant correlation between elemental abundances and condensation temperature \(T_c\) in a sample Sun-like stars; in a follow-up study, Ramirez et al. (2009) confirmed their findings. In particular, they found solar twins/analogs to be enhanced in refractory elements relative to the Sun. Although this was the first time such a trend had been found, it had been searched for unsuccessfully multiple times before within the context of the self-enrichment hypothesis (Huang et al. 2005; Gonzalez 2006; Ecuvillon et al. 2006). Ramirez et al. (2009) speculate that the trends are due to planet formation processes.

In order to test the findings of Ramirez et al. (2009) and also to expand on their analysis over a broader range in \(T_{\text{eff}}\)-\([\text{Fe/H}]\)-\(\log g\)-\(v\) space, we revisit the topic of abundance trends with \(T_c\) among stars with planets (SWPs). We do so with a new method of analysis we introduced in Gonzalez (2008) and new stellar samples, which we described in Gonzalez et al. (2010). Our paper is organized as follows. In Section 2 we describe the new SWP and comparison star samples. We employ them in Section 3 to search for evidence of abundance trends with \(T_c\); we also examine the recent abundance data of Neves et al. (2009) and the Solar System abundances. We discuss our results in Section 4 and present our conclusions in Section 5.

2 DESCRIPTION OF DATA
In Gonzalez et al. (2010) we described our most recent SWP and comparison stars samples and presented the results of our new fine abundance analyses. We compared the Li abundances of the SWPs to comparison stars using the method of comparison introduced in Gonzalez (2008) and confirmed that SWPs near the solar temperature have lower Li abundances than similar stars not known to harbor Doppler detectable planets. We deferred reporting the results of our analyses of other elements in these samples until the present paper. For detailed descriptions of the observations, data reduction and abundance analyses, the reader is referred to Gonzalez et al. (2010).

Our initial SWP and comparison stars samples contain 85 and 59 stars, respectively. We list their abundances in Table 1 (provided online). In order to have the best chance of detecting the subtle trends between abundance (as \([\text{X/H}]\)) and \(T_c\), we only calculated the abundances of those elements represented by 2 or more quality absorption lines in our spectra: Na (2), Al (2), Si (6), Ca (2), Sc (2), Ti (5), V (6), Cr (3), Fe (53), Co (3), Ni (6). We employ these data in our analyses below.

3 SEARCHING FOR TRENDS WITH \(T_c\)
3.1 New Data
In Gonzalez (2008) we introduced a new index, \(\Delta_1\), which is a measure of the distance between two stars in \(T_{\text{eff}}\)-[Fe/H]-log \(g\)-M\(_\odot\) space. In that study we calculated a weighted average Li abundance difference between a given SWP and all the stars in the comparison sample, with \((\Delta_1)^{-2}\) serving as the weight. We also applied this method (with the addition of corrections for bias) in Gonzalez et al. (2010). We employ essentially the same analysis method here, only that we are comparing \([\text{X/H}]-T_c\) slopes rather than Li abundances.

The \(T_c\) values are from Lodders et al. (2009). The elements we measured span the \(T_c\) range 958 K (Na) to 1659 (Ca, Sc). This is about the same range of \(T_c\) that Ramirez et al. (2009) reported finding an \([\text{X/H}]-T_c\) trend. We further restricted the samples in the present analysis by eliminating stars that do not satisfy the following...
criteria: $5400 < T_{\text{eff}} < 6300$ K, uncertainty in $T_{\text{eff}} < 70$ K, available Hipparcos parallax. After this culling, the SWP and comparison stars samples contain 65 and 56 stars, respectively.

For each star in our two samples, we calculated the slope between abundance (as $[X/H]$) and $T_c$ using standard linear least-squares; the slope values are listed in the online table. The average uncertainty in the slope is about $\pm 0.00007$ dex K$^{-1}$ and is the same for the SWPs and the comparison stars. We plot the weighted average $[X/H]$-$T_c$ slope differences between SWPs and comparison stars in Figure 1. Overall, SWPs appear to display more negative $[X/H]$-$T_c$ slopes than the comparison stars, the primary exception being some SWPs near the solar temperature.

When interpreting the datum corresponding to the Sun in each of Figure 1 and Figure 2 (and additional figures in the following sections), it is important to keep the following points in mind. First, although the $[X/H]$-$T_c$ slope for the Sun is identically zero by definition, the weighted difference slope does not fall on 0.0 in the figures. The fact that it negative tells us that the Sun’s slope is more negative than the slopes of similar comparison stars. Second, the uncertainty in the $[X/H]$-$T_c$ slope for the Sun is also zero, but the difference slope plotted in the figures will have some uncertainty associated with it due to uncertainties in the slopes of the comparison stars. The effective uncertainty of the Sun’s difference slope should be considerably less than $\pm 0.00007$ dex K$^{-1}$. This implies its difference slope is significantly different from zero.

In Gonzalez et al. (2010) we introduced an additional step in the analysis method of Gonzalez (2008) to correct for a systematic bias inherent in the method. We have applied the same correction procedure to the present data and present the final corrected results in Figure 2 (see Gonzalez et al. (2010) for a detailed description of the correction method). The basic trends evident in Figure 1 are not changed.

The average SWP $[X/H]$-$T_c$ slope value from the data in Figure 2 is $(-5.6 \times 10^{-5} \pm 11 \text{ (s.d.)} \times 10^{-5})$ dex K$^{-1}$. A simple count yields 46 SWPs with negative slopes and 19 with positive slopes. If we assume that slope difference values between $-0.00007$ and $+0.00007$ dex K$^{-1}$ are not significantly different from zero and count only the values below and above this range, then there are 33 SWPs with negative slopes and only 8 with positive slopes.

Several stars in our samples can be considered solar analogs, which we define as having $T_{\text{eff}}$, log g, [Fe/H], and $M_V$ values within $\pm 100$ K, 0.2 dex, 0.1 dex, and 0.2 magnitude, respectively, of the solar values. Two SWPs (HIP 15527, 80902) and 9 comparison stars satisfy our criteria. We plot the average relative abundances, as $[X/Fe]$, against $T_c$ for the SWP and comparison solar analogs in Figure 3.

The slopes of least-squares fits to the trends in Figure 3 are $(4.0 \pm 3.3) \times 10^{-5}$ and $(9.6 \pm 6.1) \times 10^{-5}$ dex K$^{-1}$ for the comparison and SWP solar analogs, respectively. This shows that SWPs have an average slope 2.4 times that of the comparison stars. This is very close to the ratio of 2.2 found by Melendez et al. (2009). While our slope values cannot be directly compared to theirs (they included a larger range in $T_c$), it should be safe to compare the ratios of slopes.

### 3.2 Neves et al. (2009) Data

Neves et al. (2009) published abundance data for 451 stars comparable in quality to ours. They measured the same elements we did (with the addition of Mg and Mn). We applied the same culling criteria and analysis method as described above to their data, resulting in subsamples with 53

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Note, we did not include the Neves et al. (2009) abundance values for Mn in our analysis, as they tend to have larger uncertainties than the other elements they measured.
Figure 3. Average \([X/Fe]\) values for the SWP (dots) and comparison (open circles) solar analog stars from our samples. The average error bars show the standard error of the mean for the SWPs and comparison stars; they were calculated from the star-to-star scatter (upper left).

Figure 5. Same as Figure 3 but using the abundance data from the Neves et al. (2009) solar analogs.

Three SWPs (HIP 15527, 80337, 116906) and 14 comparison stars from Neves et al. (2009) qualify as solar analogs according to our criteria. We plot the average relative abundances, as \([X/Fe]\), against \(T_c\) for the SWP and comparison solar analog stars in Figure 5.

The slopes of least-squares fits to the trends in Figure 5 are \((8.0 \pm 1.4) \times 10^{-5}\) and \((15 \pm 4) \times 10^{-5}\) dex K\(^{-1}\) for the comparison and SWP solar analogs, respectively. This gives a ratio of 1.9 for SWPs relative to comparison stars, again consistent with the results of Melendez et al. (2009).

3.3 Combined Data

There are 22 stars in common between Neves et al. (2009) and the present work. We find good agreement for the \(T_{\text{eff}}\) and abundance-\(T_c\) slope values for these stars. The mean difference in \(T_{\text{eff}}\) is \(-16 \pm 40\) K. We compare the slopes in Figure 6.

We adjusted our \(T_{\text{eff}}\) and \([X/H]-T_c\) slope values to be on the same scale as the Neves et al. (2009) data based on the above comparisons. We then averaged the data for the stars in common and formed new combined SWP and comparison stars samples, which contain 100 and 277 stars, respectively. The bias-corrected combined \([X/H]-T_c\) slope difference values are plotted in Figure 7.

The average SWP abundance-\(T_c\) slope value from these data is \(-4.0 \times 10^{-5}\) ± 11 (s.d.) 1.1 (s.e.m.) \(\times 10^{-5}\) dex K\(^{-1}\); 67 SWPs have negative slopes, and 34 have positive slopes. The number of stars with positive and negative slope values are comparable below about 5800 K, but the negative slopes strongly dominate above 5800 K. The Sun’s slope difference is negative \((-4.0 \times 10^{-5}\) dex K\(^{-1}\)), but stars with both positive and negative slopes are present near the solar temperature.
3.4 Solar System Abundances

Gonzalez (1997) first noted a trend between the difference in the Solar System photospheric and meteoritic abundances and $T_c$. Gonzalez (2006) revisited this anomaly using the abundance data of Lodders (2003) and Asplund et al. (2005) and found that both data sets display a significant trend. Since 2006, new photospheric and meteoritic abundance data have been published. We repeat the analysis of Gonzalez (2006) below with more recent data to determine if the trend persists.

We show in Figure 8 the difference between the solar photospheric and meteoritic abundances plotted against $T_c$, using the data from Asplund et al. (2009). The figure includes abundance differences with total uncertainties less than 0.10 dex. The slope from a weighted least-squares solution is $(7.3 \pm 2.5) \times 10^{-5}$ dex K$^{-1}$, and the Pearson's correlation coefficient is 0.43. The probability that the slope is actually zero is about 1%.

We plot in Figure 9 the difference between the solar photospheric and meteoritic abundances using the data compiled by Lodders et al. (2009). The best-fit slope to the abundance differences with total uncertainties less than 0.10 dex is $(4.2 \pm 1.8) \times 10^{-5}$ dex K$^{-1}$, and the Pearson's correlation coefficient is 0.37. The probability that the slope is actually zero is about 2%.

There is reason to suspect that the data plotted in Figure 9 underestimate the trend with $T_c$. The data compiled by Lodders et al. (2009) is a heterogeneous collection of recent abundance determinations from the literature. When multiple solar photospheric abundance determinations are available for a given element, Lodders et al. (2009) often select the values that are in closest agreement with the meteoritic value. For example, when discussing one of the published the Na photospheric abundances, Lodders et al. (2009) write, “We do not adopt this value, as it is 25% lower than the meteoritic value as well as previously determined photospheric Na abundances.” They make similar statements for K and Os. On the other hand, for P, they note that the new abundance value agrees well with the
meteoritic value. This approach necessarily biases the abundances towards better agreement with the meteoritic values.

If one takes a longer historical view of the study of Solar System abundances, it is true that as the uncertainties have been reduced for many elements, the photospheric and meteoritic abundance values have come to agree much more closely. It is a mistake, however, to assume that the photospheric and meteoritic abundances will continue to agree as the abundance data continue to improve.

Lodders et al. (2009) obtained slope values of \((8.2 \pm 2.7) \times 10^{-5}\) dex K\(^{-1}\) and \((6.1 \pm 2.5) \times 10^{-5}\) dex K\(^{-1}\) from the Asplund et al. (2005) and Lodders (2003) data, respectively.

As a kind of control, we repeated the analyses shown in Figures 8 and 9 with atomic number, Z, replacing \(T_c\). The resulting slopes are \((-3 \pm 300) \times 10^{-6}\) dex Z\(^{-1}\) and \((3 \pm 3) \times 10^{-4}\) dex Z\(^{-1}\) from the Asplund et al. (2009) and Lodders et al. (2009) data, respectively. Neither of these trends is statistically significant. This gives us additional confidence that the trends in Figures 8 and 9 are real.

Finally, we examine the solar abundances determined by Caffau et al. (2010). They measured only 12 elements, including Li, C, N, O. Excluding these four elements and another element with a large uncertainty (Os), leaves us with the following seven elements: P, S, K, Fe, Eu, Hf and Th. A weighted least-squares fit gives a slope of \((8.5 \pm 6.6) \times 10^{-5}\) dex K\(^{-1}\).

4 DISCUSSION

Our abundance data and the abundance data of Neves et al. (2009) separately show that SWPs have more negative [X/Fe]-\(T_c\) slopes than stars without known planets; the combined data display similar patterns. These results imply that SWPs are relatively more depleted in high-\(T_c\) elements than low-\(T_c\) elements relative to comparison stars.

Melendez et al. (2009) were the first to detect significant correlations between abundances and \(T_c\) among Sun-like stars. Restricting their study to solar analogs and twins, they found that the stars in their sample (with and without planets) have more positive slopes that the Sun. We confirmed this finding with our examination of the solar analogs in our sample and the Neves et al. (2009) sample.

Melendez et al. (2009) also found that solar analog SWPs have more positive slopes than stars without planets. We confirmed this result in Figures 3 and 5, with an average slope ratio between SWPs and comparison stars (\(-2.2\)) nearly identical to the ratio determined by Melendez et al. (2009).

In a follow-up study, Ramirez et al. (2009) confirmed the findings of Melendez et al. (2009) with additional observations of solar analogs and noted another pattern. They find that the [X/Fe]-\(T_c\) slope tends to be more negative among the more metal-rich stars. To search for this pattern in our data we have divided the data points from Figure 7 into two groups, [Fe/H] > 0.10 and [Fe/H] ≤ 0.10, which we show in Figures 10 and 11, respectively.

The differences between the trends in Figures 10 and 11 are dramatic. In Figure 10 there are 48 SWPs with negative and 15 with positive slopes; restricting the count to values above 0.00007 and below -0.00007 dex K\(^{-1}\), there are 32 SWPs with negative and 5 with positive slopes. In Figure 11 there are 17 SWPs with negative slopes and 21 with positive slopes; restricting the count to values above 0.00007 and below -0.00007 dex K\(^{-1}\), there are 7 SWPs with negative and 10 with positive slopes. These results confirm Ramirez et al. (2009) but for SWPs over a much more broad temperature range.

From Figure 11, we can see that the Sun has a more negative slope than most SWPs near the solar temperature. Only one SWP in the figure (HIP 116906, one of the solar analogs from Neves et al. (2009)) has a negative slope (actually very close to the solar value). Several SWPs hotter and
In the case of the Solar System, however, the connection to terrestrial planets should be made using the meteorites formed in the inner Solar System (Alexander et al. 2001) and not the primitive CI meteorites that probably formed in the outer Solar System and at earlier times. Since the inner Solar System meteorites are enhanced in refractory elements by about a factor of two relative to the CI meteorites (Alexander et al. 2001), and since we have shown that the Sun is slightly (\sim 0.05\,\text{dex}) enhanced in refractory elements with respect to the CI meteorites, we conclude that the Sun is deficient in refractory elements (as already suggested by Melendez et al. 2009). The sequestration of refractory elements into the terrestrial planets was likely an important process.

When discussing elemental abundance trends among stars, it is important to consider the effects of Galactic chemical evolution. Due to the design of our samples and analysis method, however, chemical evolution effects should not be a major influence on our results. This is because we have been careful to compare SWPs to otherwise very similar stars lacking Doppler detectable planets. Nevertheless, it is still possible that there is a mix of thick and thin disk stars in our samples, especially for the metal-poor stars. Thick disk stars have enhanced \(\alpha\)-element abundances compared to thin disk stars for the same value of \([\text{Fe/H}]\); the possible effects of this difference on planet formation has been discussed in Gonzalez (2009). How the different mix of elements in a thick disk star affects the \([\text{X}/\text{H}]-T_c\) slope (e.g., for the data in Figure 11) is beyond the scope of the present work, but it is one that should be addressed as the sample size of metal-poor SWPs increases.

### 5 CONCLUSIONS

Using new abundance analyses of SWPs and stars without known planets, we have found that SWPs tend to have more negative \([\text{X}/\text{H}]-T_c\) slopes than stars without planets. Our results confirm Melendez et al. (2009), who focused their study on solar analogs.

We also find that SWPs with \([\text{Fe/H}] > 0.10\) trend to have more negative \([\text{X}/\text{H}]-T_c\) slopes than more metal-poor SWPs, showing that the process responsible for these trends is sensitive to metallicity.

We revisited the question of the abundances in the solar photosphere relative to CI meteorites and confirmed previous findings that a significant trend with \(T_c\) exists. The Sun is slightly (\sim 0.05\,\text{dex}) enhanced in refractory elements relative to the CI meteorites, but compared to the inner Solar System meteorites, the Sun is deficient by almost a factor of two. This implies that sequestration of the refractory elements into terrestrial planets left their marks in the distribution of Solar System abundances.

It appears that both the enrichment of refractory elements in the solar photosphere via accretion and the sequestration of refractory elements into the terrestrial planets left their marks in the distribution of Solar System elemental abundances.

These results, combined with our recent findings that SWPs have lower Li abundances (confirmed by Israeli et al. 2009 for solar analogs) and rotate slower than compar-
ison stars, place new stringent constraints on planet formation models (Bouvier 2008).

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