One-atom-thick rare-earth/noble metal (RE-NM) compounds are attractive materials to investigate two-dimensional magnetism, since they are easy to synthesize into a common RE-NM$_2$ structure with high crystal perfection. Here we perform a comparative study of the GdAu$_2$, HoAu$_2$, and YbAu$_2$ monolayer compounds grown on Au(111). We find the same atomic lattice quality and moiré superlattice periodicity in the three cases, but different electronic properties and magnetism. The YbAu$_2$ monolayer reveals the characteristic electronic signatures of a mixed-valence configuration in the Yb atom. In contrast, GdAu$_2$ and HoAu$_2$ show the trivalent character of the rare-earth and ferromagnetic transitions below 22 K. Yet, the GdAu$_2$ monolayer exhibits an in-plane magnetic easy-axis, versus the out-of-plane one in HoAu$_2$. The electronic bands of the two trivalent compounds are very similar, while the divalent YbAu$_2$ monolayer exhibits different band features. In the latter, a strong 4f–5d hybridization is manifested in neatly resolved avoided crossings near the Fermi level. First principles theory points to a residual presence of empty 4f states, explaining the fluctuating valence of Yb in the YbAu$_2$ monolayer.

1. Introduction

Rare-earth/noble-metal (RE-NM) monolayer-thick alloys can be readily synthesized by low-temperature vapor epitaxy on the (111) surface of Cu, Ag, and Au single crystals, leading to a rich family of surface compounds.$^{1-6}$ They all share a common, well-defined structure and excellent crystal quality with a RE-NM$_2$ stoichiometry, as well as a hexagonal moiré with a nanoscale periodicity that is induced by the lattice mismatch between the RE-NM$_2$ monolayer and the noble metal substrate. This structural homogeneity among the series of lanthanides makes the RE-NM$_2$ monolayer a convenient platform to tune spin textures and magnetic properties of great interest in the field of spintronics,$^7$ while their chemical stability and moiré modulation convert these compounds into suitable magnetic templates to drive self-organized nanostructure growth.$^8-11$ At a more fundamental level, the crystal perfection and identical structure of the RE-NM$_2$ monolayer among the REs appear ideal to investigate the interplay between electronic properties and magnetism, that is, the connection between 4f shell filling, f–d hybridization, RE atom valency and magnetic response in two dimensions. This is of major interest in materials exhibiting competing magnetic and electronic phases around quantum critical points, such as heavy-fermion metals.$^{12}$ In particular, the Ho case is of recent interest due to its high angular magnetic moment and its unconventional magnetic properties.$^{13-16}$

In the present work we carry out a comparative analysis of GdAu$_2$, HoAu$_2$ and YbAu$_2$ monolayers epitaxially grown on a Au(111) surface. By means of angle resolved photoemission spectroscopy (ARPES) and density functional theory (DFT) we investigate the characteristic signatures of the band structure
that define the valence state of the RE atom in the compound, whereas element-sensitive X-ray magnetic circular dichroism (XMCD) is used to probe the magnetic order and determine magnetic anisotropy. For Gd and Ho we find a trivalent electronic configuration in GdAu₂ and HoAu₂, respectively, and a clear ferromagnetic behavior. However, the magnetization axis is out-of-plane for Ho and in-plane for Gd, reflecting their respective 4f shell filling and orbital moment. YbAu₂ behaves notably different. Yb is known to exhibit a variable valence state, ranging from Yb³⁺, e.g., in bulk Yb metal to Yb⁷⁺ in oxides, via a fluctuating (or mixed) valence configuration in metal alloys. In the YbAu₂/Au(111) monolayer system we find a mixed valence for Yb, close to divalency, which we attribute to f-d hybridization around the Fermi level $E_F$.

2. Experimental and computational details

The different RE-Au₂ surface compounds were grown in situ under ultra-high vacuum ($p < 2 \times 10^{-10}$ mbar) conditions by evaporation of small amounts of RE atoms on the Au(111) surface which was hold at a fixed temperature. The optimal growth temperature of the substrate varies between 400 and 450 °C for GdAu₂, around 420 °C for HoAu₂ and at 300 °C for YbAu₂. Below these temperatures, the characteristic moiré was not well formed, and above them the RE metals diffuse into the bulk or re-evaporate under vacuum. Several Au(111) samples were used in order to avoid contamination from other RE atoms used in previous experiments.†

Preparation and analysis of the samples were performed in different experimental systems and laboratories. Photoemission data were acquired at two home laboratories (CFM San Sebastian, Universität Zürich) using Helium Iα and Iβ excitation lines ($\hbar \nu = 21.2$ eV and 40.8 eV, respectively), and at the VUV-Photoemission beamline of the Elettra Synchrotron in Trieste, Italy. In San Sebastian and Trieste a channel plate-based display type hemispherical analyzer was used with angular and energy resolution set to $0.1^\circ$ and 40 meV, respectively, while in Zürich a hemispherical analyzer with six channel trons was employed. At the synchrotron, $p$-polarized light was used and the sample temperature during measurements was 17 K. Scanning tunneling microscopy (STM) experiments were carried out at 300 K in San Sebastian using an Omicron VT Setup. XMCD experiments were realized at the BOREAS beamline of ALBA synchrotron, Spain. There, the samples were prepared in situ and their quality was checked with low energy electron diffraction (LEED) prior to the XMCD measurements. Absorption spectra were acquired in total electron yield at two beam-incidence geometries, namely out-of-plane for normal incidence and in-plane for $70^\circ$ incidence. The applied magnetic field direction was collinear to the light propagation. In all cases 90% circularly polarized light from a helical undulator was used. The measurements were carried out between 2 and 25 K with a variable magnetic field up to $\pm 6$ T.

Band structures of free-standing YbAu₂ monolayers and YbAu₂/Au(111) stacks were obtained from first-principles DFT calculations with the PBE exchange and correlation functional. The FLEUR code, based on the full-potential linearized augmented plane wave (FLAPW) formalism, was used. Spin–orbit interactions were included self-consistently in the calculations with spins aligned perpendicular to the surface. The FLAPW basis set was constructed with a bidimensional $9 \times 9 \times 1$ Monkhorst–Pack $k$-point mesh and plane wave expansion cutoffs of 109 eV for the wavefunctions, and 272 eV for the density and potential. For the local basis, Yb-6s,4f,5d and Au-6s,5d electrons were included as valence electrons, and Yb-5s,5p and Au-5p as linear orbitals. Muffin tin sphere radii of 1.35 Å were used for Yb and Au, and $l_{\text{max}} = 10$ in the partial wave expansions. The Fermi energy was determined by the triangular method. Additional calculations were carried out in the GGA+$U$ approximation (see the ESI†). As in previous works with Gd-based compounds, we used the experimentally-determined lattice constant of the compound (5.4 Å) to fix the same in-plane atomic distance for the REAu₂ monolayer and the REAu₂/Au(111) slab. For YbAu₂ on one or several Au substrate layers (supported YbAu₂), results presented here correspond to vertical fcc stacking, using 2.25 Å interlayer distance. Yet, we also checked YbAu₂/Au(111) with Yb atoms in top stacking, as well as small variations of the geometry parameters, but no significant changes were obtained.

3. Results and discussion

3.1. Structure

Representative low-energy electron diffraction patterns and scanning tunneling microscopy images for structurally-optimal HoAu₂ and YbAu₂ monolayers are shown in Fig. 1. The LEED images reveal the characteristic $(\sqrt{3} \times \sqrt{3})R30^\circ$ reconstruction of the 2D RE-Au₂ compounds (blue solid line unit-cell) formed on top of the Au(111) surface (grey, dotted) surrounded by hexagonal superstructure spots. Due to the larger ionic radius of the RE atom compared to that of the Au atom, the registry with the Au(111) plane underneath is lost, and a coincidence moiré lattice appears.† The periodicity of this moiré reconstruction is visible in the LEED pattern through the characteristic satellite spots around the main $(\sqrt{3} \times \sqrt{3})R30^\circ$ diffraction spots. The atomic misfit is also obvious when comparing the clean and the compound-covered surface patterns, as shown in Fig. 1(a), where the new atomic spacing of the surface is compared to that of Au(111).

In STM micrographs two main features are observed, namely the atomically resolved lattice of the surface and the large scale moiré modulation rotated by $30^\circ$ with respect to the atomic unit cell. Atomically resolved images reveal hexagonal close-packed structures with $a = 5.4$ Å periodic spacing between neighboring protrusions, which clearly indicates that

†This is especially needed to avoid Gd bulk impurities that reemerge at the Au surface during annealing cycles.
only the RE sublattice is being probed by the STM tip under the present conditions. The same apparent atomic lattice is observed in the previously studied GdAu₂, CeAu₂, LaAu₂, TbAu₂, HoAu₂, and ErAu₂ monolayers. The moiré periodicities of YbAu₂ and HoAu₂ have been determined by averaging over large scale STM images such as those of Fig. 1(c) and (d), rendering (36.5 ± 1.0) Å and (37.6 ± 1.0) Å, respectively. The latter value coincides well with a recent study of HoAu₂. Taking into account the interatomic distance in the Au(111) surface \(a_{\text{Au}} = 2.89 \text{ Å}\) one obtains a \((12.6 \times 12.6)\) coincidence lattice for YbAu₂ and a slightly larger \((13.0 \times 13.0)\) lattice for HoAu₂, the latter being equal to that found in GdAu₂. The lattice constant \(a\) of the RE-Au₂ surface lattice can be extracted from the RE-Au₂/Au(111) \((n - 1)/n\) coincidence through \(a = n \times \sqrt{3}a_{\text{Au}}\) leading to \(a = 5.4 \text{ Å}\) in HoAu₂, YbAu₂, and GdAu₂ monolayers. Differences in the moiré periodicity, though, reflect subtle variations in the interatomic distance \(a\) of the compound, which cannot be accounted for within the STM accuracy. In this respect, the shorter beating period for the YbAu₂ monolayer reveals a 0.3% larger in-plane interatomic spacing. This indeed is the simple expectation for the larger ionic radius of the divalent Yb. However, the effect is very small and may also arise due to other important factors, such as the out-of-plane relaxation of the RE sublattice, similar to that observed in Rashba type systems.

### 3.2. Electronic properties

#### 3.2.1. Core level analysis and rare earth valency.

The valence state of the RE atom for each REAu₂ compound is assessed through the analysis of its respective 5p and 4f shallow core levels. Fig. 2 shows the photoemission spectra around the 4f and 5p core level regions for GdAu₂, HoAu₂, and YbAu₂ monolayers. Electron energies refer to the Fermi level. To properly separate the 4f core-level emission from that of other electronic states in the valence band of the compound and the Au substrate (mainly 5d), spectra were acquired at photon energies corresponding to on- and off-resonance (blue and red lines, respectively). For the RE 5p levels no resonant photoemission is needed, as it falls far away from the Fermi level where no Au substrate related emission occurs. As usually found in RE metals and compounds, 4f and 5p peaks are not simple spin–orbit split emissions but reveal photoemission multiplets. Ionization of the partially filled 4f orbitals leads to a variety of final states in the 4f \(^{n-1}\) configuration, and hence to the multiplet structures. The multiplets calculated in the intermediate coupling regime are shown for Gd,
The Ho 4f multiplet reveals a trivalent character and it is shifted to a higher binding energy by 0.4 eV with respect to the surface component in metallic Ho.44

The valence state for Yb in YbAu2 is deduced by directly comparing the experimental spectrum with the theoretical di- and trivalent configurations of Yb, shown in the lower part of Fig. 2(c). In the surface compound, there is a dominant divalent Yb 4f emission near \( E_F \), although a zoom in the spectrum reveals the presence of trivalent Yb emission at a higher binding energy. An accurate determination of the trivalent contribution is difficult, since the trivalent multiplet overlaps with the Au 5d band. The Yb 5p core level, however, is better suited for a quantitative analysis. On- and off-resonant photoemission reveals a small, but well visible, trivalent 5p_{3/2} emission at 27.24 eV. This binding energy discards emission from bulk Yb impurities,20 and rather indicates a mixed valence scenario, with a dominant divalent state and a minor trivalent contribution (for a detailed discussion see the ESI†). X-ray photoemission is a fast femtosecond-range transition process, particularly when compared to the valence fluctuation time of rare-earth ions in mixed-valence systems.45 Such fluctuation time can be estimated from the valence band dispersion (see the ESI†). Therefore, the relative peak area of the two 5p doublets in Fig. 2(c) directly reflects an intermediate valence value \( \delta = 2.059 \) of the Yb valence in YbAu2.

The Yb 5p and 4f core levels in YbAu2 are shifted to lower binding energies by 1.15 eV and 1.55 eV, respectively, compared with the corresponding surface core levels in metallic Yb.37 The positive shift of the core level in YbAu2 with respect to the corresponding divalent Yb surface contrasts with the negative shift in trivalent Gd and Ho emissions as shown above. The valency-dependent sign of the shift from the pure metal to compound in RE core levels was already observed for a variety of divalent and trivalent bulk RE-metal systems.37 The sign of the shift can be explained by the larger structural stability of the trivalent RE ion, versus divalent or tetravalent states, when forming bulk compounds.37,46 In this way, the trivalent-to-tetravalent core-level photoemission process of Gd and Ho leads to a negative peak shift, while the divalent-to-trivalent excitation in Yb results in a positive shift.

3.2.2. Band structure. The electronic band structure of the GdAu2, HoAu2 and YbAu2 monolayers on Au(111) is measured by ARPES, and is displayed in Fig. 3 and 4. ARPES bands of GdAu2 were already investigated and discussed in ref. 2, 3, 33 and 47. Fig. 3 displays the electronic band structure of HoAu2 as measured by ARPES in the synchrotron with different photon energies at a sample temperature of 17 K, together with the bands measured with \( h\nu = 21 \) eV (Helix) at 120 K. We focus in the energy range between the Fermi energy and \( E_F = -2 \) eV in order to avoid the high intensity of the substrate Au 5d-bands. The lack of dispersive changes across the different panels in Fig. 3(a) caused by different photon energies proves the two-dimensional character of most characteristic HoAu2 bands, namely those labeled as A, B, C and C'. The B band appears away from the Fermi level with a strong Au bulk-like character. The A band is found at the border but still inside the projected
substrate band gap, and therefore has a surface character, with a mixed Au and RE wave-function nature. Its dispersion and position are very similar to the Shockley surface state of noble metal surfaces when shifted to higher binding energy upon deposition of, e.g., alkali metals. Finally, the hole-like, linearly-dispersing C band crosses \( E_F \) around \( \Gamma \), where it strongly resonates at the HoAu\(_2\) surface. The GdAu\(_2\) valence band exhibits the same features, including the intense linearly-dispersing C band. Other RE-Au\(_2\) surface compounds such as LaAu\(_2\) and CeAu\(_2\) possess the same C band with a conic shape centered at \( \Gamma \) and apex at \( E_F \). In reality, as indicated in Fig. 4(a) and (b), REAu\(_2\) monolayers featuring trivalent RE atoms share an almost identical band structure, including the hole-like B and electron-like A bands, the latter found at \(-1.0\) eV at the center of the Brillouin zone in all cases. Even the Fermi surface mappings shown in Fig. 3(b) are similar, showing a bright spot due to the C band apex, and a star-shaped feature around the \( \Gamma \) points, originating from the A and C\(^\prime\) bands. In a recent study, this star-shaped feature was attributed to umklapp bands from the \((\sqrt{3} \times \sqrt{3}) R30^\circ\) surface superstructure replica of the strongly dispersive noble metal s,p band. However, the latter is a bulk band that disperses perpendicular to the surface in \( k_z \) direction. This would give rise to different Fermi energy features at different photon energies, but this is not observed here (see Fig. 3 and the ESI†). Our theoretical analysis (see below)

\[ \text{Fig. 3} \] Angle-resolved photoemission (ARPES) maps for 1 ML HoAu\(_2\)/Au(111): (a) band dispersion along the \( \Gamma M \) and \( \bar{K}_2 \bar{K}_2 \) direction of the surface Brillouin zone taken for different photon energies. (b) Fermi energy band crossing mappings for the same indicated energies. The \((13/12 \times \sqrt{3}) R30^\circ\) surface Brillouin zones [with respect to Au(111)] appear indicated with green lines. Albeit the sample temperature (17 K) is below the Curie temperature \( T_C = 22 \) K of HoAu\(_2\) (see below), the band splitting due to magnetic exchange appears to be too small to be detected.

\[ \text{Fig. 4} \] (a) Band dispersion along the \( \Gamma M \) reciprocal space direction for (a) GdAu\(_2\), (b) HoAu\(_2\), and (c) YbAu\(_2\) monolayers, as determined from ARPES experiments performed at the indicated photon energies in each case. In the right panels, constant energy intensity maps for HoAu\(_2\) at \( E - E_F = 0.57\) eV and YbAu\(_2\) at \( E_F \) are displayed featuring similar features at the \( \Gamma \) point. GdAu\(_2\) bands were measured at \( T = 120 \) K, while HoAu\(_2\) and YbAu\(_2\) experiments were carried out at \( T = 17 \) K.
reveals that C’ has an intense Au s,p-band nature. We argue that the strong band hybridization with RE d-bands changes not only the band character of C’ but also alters the \( k \) dispersion into a two-dimensional band. Additionally, one can also observe the umklapp bands due to the moiré superstructure. The moiré umklapp bands cause the “X”-like band crossing feature at \( E = E_F = -1.2 \) eV located at the second \( \Gamma \) points of the surface Brillouin zones. A detailed discussion can be found in the ESI.†

For divalent Yb in YbAu₂, the narrow 4f bands shows up right below \( E_F \) (4f\( ^7/2 \)) and at \( E = E_F = -1.5 \) eV (4f\( ^5/2 \)), giving rise to relatively flat bands. Especially the 4f\( ^7/2 \) level strongly hybridizes with the C band, leading to a large disruption of its linear dispersion around the Fermi energy. This additionally affects the Fermi surface around \( \Gamma \) in Fig. 4, which evolves from an intense spot in trivalent HoAu₂ [see Fig. 3(b)] to a ring-shaped structure in divalent YbAu₂. Also the Au bulk-resonating s,p band (C) reveals band hybridization and an upward shift. The latter can be nicely observed by comparing the band crossings at the Fermi energy in YbAu₂ and the constant energy surface at \( E = E_F = -0.57 \) eV of HoAu₂ featuring similar structures. Valency-dependent differences in the electronic states of REAu₂ monolayer systems, from trivalent Gd, La, Ce, and Ho, to divalent Yb, are also found in A and B bands, which exhibit upward shifts of 0.11 and 0.15 eV, respectively, from trivalent compounds to divalent Yb.

The hybridization of 4f levels with the s-p-d valence-band many fold has often been observed in three-dimensional bulk Ce, Eu and Yb compounds.⁵⁵,⁵⁶ Orbital mixing with 4f levels at the valence band gives rise to an intermediate fluctuating valence in RE materials,⁴⁵ which in turn is essential to trigger competing magnetic phases around quantum-critical points.⁵⁷ In Fig. 5 we examine in detail the 4f level hybridization for the two-dimensional YbAu₂ compound, comparing ARPES and first principles calculations. In panel (a) we show the YbAu₂ ARPES band dispersion along the \( \Gamma M \) and \( K F K' \) symmetry lines, on top of the corresponding calculations for a YbAu₂/3ML-Au(111) slab [ref. 3, panel]. To better determine the surface or bulk nature of the different bands, in panel (c) we show their evolution from the free-standing YbAu₂ monolayer, to the YbAu₂/1ML-Au(111) and YbAu₂/3ML-Au(111) stacks. In the free standing case, one observes the conic C band dispersing from about 0.7 eV above \( E_F \) at \( \Gamma \) down to \( -2 \) eV at \( M \) and \( K \). This C band is intercepted by the flat Yb 4f levels. As the number of gold layers in the stack increases, the f levels slightly shift towards \( E_F \) while the C band shifts downward, spin-orbit splitting sets in, and the more bulk-like C’ band builds up. In fact, the C’ band is significantly contributed by Gd-d electrons, sharing C with a partial s,p,Au d mixed orbital nature, but the occupied part of C lies inside the Au bulk projected band gap and resonates stronger at the YbAu₂ surface.§ Additionally, C and C’ mix with the spin-orbit split 4f levels at about \(-0.25\) eV, leading to a clear opening of hybridization gaps (see the discussion on the d and f composition of these hybrid bands in the ESI†). The relative contribution of the 4f levels to the different bands is graphically indicated with a color scale in Fig. 5. The upward shift of the 4f spectral weight leads to a small but relevant 4f spread above \( E_F \), thereby explaining the occurrence of mixed valence. It is interesting to note that the DFT approach is enough to properly describe experimental binding energies and anticrossing features,⁶⁸ even though, at the present theory level, one cannot account for simultaneous divalent and trivalent 4f multiplets in the valence band (for DFT band structures including correlation, which causes renormalization and an increase in bandwidth,⁶⁹ see the ESI†).

§In ref. 3 C’ labels the spin minority branch of C in ferromagnetic GdAg₂ and GdAu₂. Here, C’ refers to a different bulk resonating band.

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**Fig. 5** (a) ARPES band dispersions for the YbAu₂ monolayer compound measured along the \( \Gamma M F \) and \( K F K' \) symmetry directions of the surface Brillouin zone \((h\nu = 38 \text{ eV}, T = 17 \text{ K})\). (b) Corresponding DFT band structure calculated for a YbAu₂/3ML-Au(111) slab. Spin-orbit interactions with spins aligned perpendicular to the surface are included. (c) DFT band structure for a free-standing YbAu₂ monolayer (left), a YbAu₂/1ML-Au(111) bilayer (center), and the YbAu₂/3ML-Au(111) stack (right). The 4f composition of each E(k) point is indicated by the violet-to-yellow color scale. Bands are named following ref. 2 and 33.
On the other hand, bands A and B, which only emerge with the thickest Au slab, also interact with the 4f levels, although such interaction is not clearly resolved in the ARPES experiment. Finally, we must also note the presence of the D and the upward dispersing band of d_{xz} character. The last one crosses C without hybridizing (orthogonal to C) in the free standing case. The D band has mainly d_{xy} character and hybridizes with the states at the apex of the C band of d_{xy} character forming a gapped region close to the Γ point at around $E_F + 0.7$ eV (details on the orbital character can be found in the ESI†). In terms of orbital character, the aforementioned band crossing features are ubiquitous in RE-Au$_2$ layers and give rise to the magnetic and topological properties of these systems. However, the dispersion details and binding energies differ for different compounds and some of such characteristic features are likely to disappear upon hybridization with substrate bands. For example, in the GdAg$_2$/Ag(111) system the spin-split pair of D bands straddle the Fermi energy, contributing to the ferromagnetic order at high temperature ($T_C = 85$ K), and resulting in several degeneracies that have been reported to be Weyl nodal lines. We recall that Weyl points are massless Dirac fermions that appear in pairs of opposite parity, protected by the lattice translational symmetry. Additional mirror symmetry can stabilize Weyl points in a two-dimensional system, as it has been reported for GdAg$_2$, where band degeneracies of this type appear close to the Fermi level not as discrete points, but forming a line, so-called Weyl nodal line. In GdAg$_2$ and ErCu$_2$ the upward-dispersing spin-majority d$_{xy}$ band and the downward-dispersing spin-minority C mutually cross near the Fermi level, defining topologically protected Weyl nodal lines. Furthermore, the gap formed at the crossing of C and D bands with opposite spin polarization in GdAg$_2$ is stable against a reorientation of the magnetization from in-plane to out-of-plane. Note, however, that the equivalent feature in the YbAu$_2$ layer is strongly distorted by the much larger spin–orbit interaction strength. As mentioned above, the nodal line associated with this C–D crossing in the free-standing YbAu$_2$ case would be a ring near the Γ-point well above the Fermi level $E_F + 0.7$ eV due to the divalent Yb, with a large energy gap of 0.2 eV [see Fig. 5(c)]. ARPES is not suited to probe empty electronic states and we are therefore unable to confirm such theoretical prediction. For the GdAu$_2$ case DFT calculations revealed that the nodal line is at 0.3 eV below the Fermi level. The C–D band crossing has a band gap of nearly 0.1 eV with in-plane magnetization, but a marginal one with out-of-plane magnetization, in agreement with the prediction based on the orbital symmetries of these two bands. Because of the Fermi level proximity and the small size of the band gap, this feature is not distinguishable by ARPES.

3.3. Magnetic configuration

Rare-earth metals and alloys exhibit diverse magnetic properties across the RE series, explained by the strong effect of the variable 4f shell filling. When combining RE with noble metals long range magnetic ordering was observed for GdAu$_2$, GdAg$_2$, and DyAg$_2$. For completely divalent Yb compounds with a filled 4f shell no magnetic moments from that 4f shell can arise, e.g., the pure hcp Yb metal (divalent) is diamagnetic at least down to 1 K. We therefore do not expect magnetic ordering in the accessible temperature range ($T > 4$ K) for YbAu$_2$, although here Yb is in a mixed-valent state.

In the following, we will concentrate on the magnetic properties and magnetic anisotropy of HoAu$_2$ measured by X-ray absorption (XAS) and magnetic circular dichroism (XMCD) and compare the results to the magnetic properties observed in GdAu$_2$. To shortly summarize, GdAu$_2$ is a two-dimensional, soft ferromagnetic system with a Curie temperature $T_C = 19$ K, and an in-plane easy magnetization axis. DFT calculations and low temperature STM measurements at applied fields reveal that the long-range order arises from the polarization of both Gd and Au derived valence electrons by the localized Gd 4f moments via a RKKY-type interaction. The coercive field $H_c$ in GdAu$_2$ is small ranging from 2 mT (ref. 3) to 17.5 mT (ref. 64) depending on the number of defects like dislocation lines at the surface.

For the HoAu$_3$ monolayer case XAS and XMCD spectra are shown in Fig. 6. The XAS line shape in Fig. 6(a) confirms a trivalent Ho 4f$^{10}$ configuration already observed by photoemission. There are remarkable differences between normal and grazing incidence geometries. The dichroism is larger at normal incidence indicating an out-of-plane easy axis, which is corroborated in the XMCD magnization loops displayed in Fig. 6(b). In the XAS spectra, both, M$_4$ and M$_5$ absorption edges (3d → 4f) display the same sign of the dichroism in the two different geometries with the magnetic field and X-ray
incidence perpendicular (θ = 0°) and nearly parallel (θ = 70°) to the surface. Such a situation is expected for late lanthanides (4f<sup>n</sup>, n > 7). These late lanthanides are characterized by a large magnetic moment arising from the parallel alignment of the orbital L and spin S components leading to the total angular momentum J = L + S. The expectation values of the orbital and spin magnetic moments components on the magnetization axis z, (L<sub>z</sub>) and (S<sub>z</sub>) respectively, can be obtained from sum rules analysis of the integrated XAS and XMCD spectra (see ESIf) and are given in Table 1. For the sake of comparison we also include literature values of single Ho atoms on top of fcc (111) surfaces of noble metals Cu, Ag, and Pt. The paramagnetic-to-ferromagnetic transition in HoAu<sub>2</sub> is tracked from the series of out-of-plane magnetization loops at different temperatures shown in the right panel of Fig. 6(b). An Arrott plot analysis of these magnetization curves leads to a Curie temperature θ<sub>C</sub> = 22 K (see details in the ESIf).

For the ideal Ho<sup>3+</sup> ion with a 4f<sup>10</sup> configuration, Hund’s rule predicts orbital and spin moments of L = 6 and S = 2, respectively, resulting in a total angular moment J = 8 and oblate form of the 4f charge distribution when the J<sub>z</sub> value is maximal. We observe a normal incidence (NI) ground state value along the field direction z of (J<sub>z</sub>)<sub>NI</sub> = 6.78 for the HoAu<sub>2</sub> surface compound (see Table 1), which is very similar to the values measured in Ho single adatoms on Cu(111) and Ag(111) surfaces but different from the Ho/Pt(111) case.

For Ho/Cu(111) and Ho/Ag(111) the Ho 4f electron charge density distribution is barely influenced by hybridization with substrate bands formed by delocalized s electrons. Thus, neither the form of the 4f electron charge distribution density, nor the lowest J<sub>z</sub> ground state, is affected. In the case of the HoAu<sub>2</sub> monolayer, trivalent Ho atoms embedded in the Au surface have a similar environment as Ho adatoms on Ag (111) and Cu(111) surfaces. As can be observed in Table 1, there is, however, a difference in the grazing incidence (in-plane) value of the surface compound, whose magnetic moments are much lower. This difference is related to the measurement geometry that in the actual HoAu<sub>2</sub> case was for more grazing incidence (θ = 70°) than in the adatom cases (θ = 60°).

The out-of-plane easy anisotropy of HoAu<sub>2</sub> monolayer contrasts with the in-plane one of GdAu<sub>2</sub>. The main contribution to the magnetic anisotropy in both surface compounds has a different nature that is directly related to the RE 4f occupation and its angular momentum. Trivalent Gd<sup>3+</sup> ions have a half-filled 4f<sup>7</sup> shell with L = 0 and therefore have a completely isotropic (spherical) 4f electron charge distribution. In this case the main contribution to the magnetocrystalline anisotropy of GdAu<sub>2</sub> arises from the hybrid Au–Gd bands and results in a magnetocrystalline anisotropy energy of about 2.7 meV. Certainly, in-plane shape anisotropy is also present, but its contribution is minor with an approximate value of 0.05 meV (see the ESI†).

In the case of HoAu<sub>2</sub>, however, the anisotropy originates at the 4f electrons, as suggested by the large L. The observed out-of-plane anisotropy may be explained in simple terms by the spatial distribution of the 4f electron cloud. As already mentioned, for a free trivalent Ho<sup>3+</sup> ion with a 4f<sup>10</sup> configuration the 4f electron density has an oblate shape with the highest J<sub>z</sub> level. Additionally, the electrostatic interaction with the Au substrate electron density would favour out-of-plane anisotropy, while the equatorially distributed charge density within the HoAu<sub>2</sub> layer would favour in-plane anisotropy. All together, the substrate, HoAu<sub>2</sub> layer charges and the oblate form of the 4f cloud at high J<sub>z</sub> favour out-of-plane anisotropy as observed by the sum rule result J<sub>z</sub><sup>NI</sup> ≫ J<sub>z</sub><sup>GI</sup> (see Table 1).

### Table 1

| System       | (L<sub>z</sub>)<sub>NI</sub>       | (S<sub>z</sub>)<sub>NI</sub>       | (J<sub>z</sub>)<sub>NI</sub>       | (L<sub>z</sub>)<sub>GI</sub>       | (S<sub>z</sub>)<sub>GI</sub>       | (J<sub>z</sub>)<sub>GI</sub>       |
|--------------|---------------------------------|---------------------------------|---------------------------------|---------------------------------|---------------------------------|---------------------------------|
| HoAu<sub>2</sub> | (5.26 ± 0.15)                   | (1.52 ± 0.12)                   | (6.78 ± 0.19)                   | (2.62 ± 0.10)                   | (0.76 ± 0.08)                   | (3.38 ± 0.13)                   |
| Ho/Cu(111)<sup>14,15</sup> | (5.3 ± 0.2)                     | (1.7 ± 0.1)                     | (6.9 ± 0.2)                     | (3.8 ± 0.1)                     | (1.1 ± 0.1)                     | (4.9 ± 0.1)                     |
| Ho/Ag(111)<sup>14</sup> | (5.2 ± 0.1)                     | (1.2 ± 0.2)                     | (6.5 ± 0.2)                     | (4.8 ± 0.1)                     | (1.2 ± 0.1)                     | (6.0 ± 0.1)                     |
| Ho/Pt(111)<sup>14,15</sup> | (4.3 ± 0.1)                     | (1.3 ± 0.1)                     | (5.5 ± 0.1)                     | (3.8 ± 0.1)                     | (1.3 ± 0.1)                     | (5.1 ± 0.1)                     |

4. Conclusions

HoAu<sub>2</sub> and YbAu<sub>2</sub> monolayer compounds have been synthesized by vapor deposition onto Au(111), and analyzed with surface science techniques and DFT calculations. The resulting structural, electronic and magnetic properties have been compared with those of the GdAu<sub>2</sub>/Au(111). In all cases we find a (\sqrt{3} × \sqrt{3}) R30° RE substitution in the topmost Au(111) crystal layer, which triggers analogous nanoscale moiré superstructures, due to mismatch with the underlying substrate. Through X-ray photoemission of valence and core levels we determine a trivalent state for Gd and Ho, and a mixed-valence situation of Yb in YbAu<sub>2</sub>. Electronic band structures are nearly equivalent for the three surface compounds, with the exception of their characteristic conic C band near E<sub>F</sub>, which strongly hybridizes with the 4f level in YbAu<sub>2</sub>. DFT indicates that such f–d hybridization results in a small depletion of the Yb 4f shell in YbAu<sub>2</sub>, which appears to explain its mixed valence character. Moreover, XMCD experiments reveal a ferromagnetic ordering in HoAu<sub>2</sub> with an out-of-plane anisotropy below θ<sub>C</sub> = 22 K. The origin of the out-of-plane anisotropy in HoAu<sub>2</sub> is mainly magnetocrystalline due to the strong spin–orbit coupling interaction of the 4f electrons in Ho and their electrostatic interaction with the surrounding charge.
Author contributions

L. F. and F. S. conceived and designed the work. L. F., R. C.-B., K. A., E. T., M. C., M. O., P. M., P. M. S., A. K. K., M. J. and F. S. carried out photoemission data collection while the data were analyzed and interpreted by P. M. S., M. O., C. L., E. O. and F. S. X-ray absorption and XMCD data collection were undertaken by L. F., R. C.-B., M. I., P. G., M. A. V., A. M., and F. S. The DFT calculations were performed by M. B.-R. The analysis of these data was carried out by F. S. and the results were interpreted by L. F., M. B.-R., A. M., E. O. and F. S. The article was drafted by L. F., M. B.-R., E. O. and F. S. All authors contributed in the critical revision of the article and its final approval.

Conflicts of interest

There are no conflicts to declare.

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