ALTAR/TABLE: A PLATFORM FOR PLUSABLE AUDITORY AUGMENTATION

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ABSTRACT

Auditory feedback from everyday interactions can be augmented to project digital information in the physical world. For that purpose, auditory augmentation modulates irrelevant aspects of already existing sounds while at the same time preserving relevant ones. A strategy for maintaining a certain level of plausibility is to metaphorically modulate the physical object itself. By mapping information to physical parameters instead of arbitrary sound parameters, it is assumed that even untrained users can draw on prior knowledge. Here we present AltAR/table, a hard- and software platform for plausible auditory augmentation of flat surfaces. It renders accurate augmentations of rectangular plates by capturing the structure-borne sound, feeding it through a physical sound model, and playing it back through the same object in real time. The implementation solves basic problems of equalization, active feedback control, spatialization, hand tracking, and low-latency signal processing. AltAR/table provides the technical foundations of object-centered auditory augmentations, for embedding sonifications into everyday objects such as tables, walls, or floors.

1. INTRODUCTION

An important kind of auditory feedback is the sound we perceive in reaction to our physical interactions: it conveys information about the ongoing physical processes — information that lets us stay within the sonic interaction loop and adapt our operations to the given conditions without requiring much conscious effort. More generally, the interaction loop integrating sound and other sensory modalities permits the tools we use to mediate our actions to effectively become an extension of our body. With growing complexity of the tools, e.g., from basic hand tools via mechanic machines to digital devices, the amount of useful information in the original auditory feedback decreases. This lack of usable auditory feedback in modern appliances highlights the need for sonic interaction design in general and auditory augmentation in particular. In auditory augmentation\textsuperscript{[1], [2]}, the original auditory feedback is modulated by external data in order to become augmented auditory feedback which thus comprises a sonification.

We assume that to be accepted by users, augmented auditory feedback needs to be plausible and usable with respect to the given physical interaction and with respect to information from other sensory modalities\textsuperscript{[3]}. These requirements limit the parameter space for auditory augmentation and thus limit the total information capacity of the associated communication channel (see\textsuperscript{[3]} for further information on the concept of plausible auditory augmentation).

Especially interactions with the digital environment benefit from reality-based interactions that make digital information tangible and thus allow users to behave naturally by projecting their knowledge from the physical environment\textsuperscript{[4]–[6]}. Auditory augmentation builds on top of established concepts such as blended sonification\textsuperscript{[7]} and model-based sonification\textsuperscript{[8]}.

Back in 2010, Stockman\textsuperscript{[9]} had raised the infamous question: “what can we take into the research arena of auditory displays from our every day experiences of listening?” Since then, various everyday objects have been augmented: computer keyboards\textsuperscript{[1]}, rooms\textsuperscript{[10], [11]}, doors\textsuperscript{[12]}, production systems\textsuperscript{[13]}, cars\textsuperscript{[14]}, showers\textsuperscript{[15]}, coat racks\textsuperscript{[16]}, flotsam\textsuperscript{[17]}, and stethoscopes\textsuperscript{[18]}.

We present AltAR/table\textsuperscript{1}, an augmented table which captures the original auditory feedback, feeds it through the physical model of a rectangular plate, and projects the result in real time (see Fig. 1). External data is sonified in a plausible way by mapping it to physical parameters of the model plate. To avoid visible loudspeakers as far as possible, we use structure-borne exciters which transform the interface plate into a bending wave loudspeaker. The hardware platform is designed to be put on top of a normal table, to work somehow similar to a touchscreen — with an auditory instead of a visual display. Its main purpose is to host the physical sound model of a rectangular plate, i.e., to capture the original auditory feedback, feed it through the model plate, and project the augmented auditory feedback into the physical environment of the user. Practical applications in the form of sonifications based on previous development stages comprise the Mondrian table and the

\textsuperscript{1}AltAR stands for alternative auditory reality

Figure 1: The concept of AltAR/table. A demonstration video is provided here: \url{https://phaidra.kug.ac.at/o:126460}

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e(t) + M + ... (x,y), subjected to a point force at excitation position (x0,y0), is

SuperCollider: https://supercollider.github.io/

while the inner region of

writing, exploratory data analysis, and assisted object positioning

The rest of this article is structured as follows. We start with the hardware apparatus in Sec. 2 and the physical sound synthesis model in Sec. 3. Technical challenges such as position tracking, output calibration, as well as noise and feedback control are outlined in Sec. 4.1, 4.2, and 4.3, respectively. We draw some final conclusions in Sec. 5.

2. HARDWARE PLATFORM

If assuming a single input and output channel, basic auditory augmentation systems follow the block diagram in Fig. 2. The excitation signal e(t) that is generated by the user’s action is filtered by the transfer function M of the system. What reaches the ears is the output signal s(t). In addition to the main signal path, there are two additional paths that are generally undesirable: the original auditory feedback that reaches the ears via the direct path, and the acoustic feedback between loudspeaker and microphone which can lead to instability and thus howling.

A photo of the AltAR/table is shown in Fig. 3. The interface is based around a 0.7 m × 0.5 m Dibond aluminum-polyethylene composite plate of thickness 3 mm. It represents a compromise between several conflicting interests: strongly damped (minimal original auditory feedback), good sound conduction (for capturing excitation by contact microphones), and thin and elastic (for acting as bending wave loudspeaker). The interface plate sits on a particle board frame which stands on rubber feet (see Fig. 4). Overlapping regions are covered with felt on top and bottom to provide damping while the inner region of 594 mm × 420 mm (DIN A2) can freely vibrate.

On the bottom side, 5 structure-borne exciters (Visaton EX 30 S, 8 Ω) and 6 piezo-electric contact microphones (3 cm piezo disks) are mounted to the interface plate by using 3M VHB double-sided adhesive tape. Four of the piezos are placed near the corners (5 mm distance to the frame), two others are placed in the center so that their distance between each other (24 cm) equals their distance to the nearby corner-piezos, respectively. The exciters are placed halfway between neighboring piezos, ensuring a symmetric arrangement with maximum distance between exciters and piezos.

The piezo disks require a buffer preamp for impedance matching (see block diagram in Fig. 5). We employ 3 Schatten Design MicroPre 2-channel buffers, powered by a 9 V battery or Boss PSA-230P power supply. Their outputs are fed into three Samson S-direct Plus 2-channel DI boxes due to the longer cable run to the Behringer ADA8000 AD/DA converter. Two calibration microphones are connected directly to the ADA8000. The exciters are driven by a Hypex UcD36MP V3 6-channel power amplifier. Two Genelec 8020CPM loudspeakers which are mounted on the table serve as low-frequency extension. Audio processing is done on a PC running Debian GNU/Linux, through an RME HDSPe MADI FX soundcard and ADI-648 DAT-to-MADI converter. Both data and audio signal processing are mainly implemented in the SuperCollider 3 language².

Each input channel (piezo) is processed separately and then spatialized to the output channels (exciters). This is done via distance-based amplitude panning (DBAP), following its original definition by [19]. For AltAR/table, we use a 6 dB roll-off, and an effectively negligible 1 mm source size.

As the exciters are not able to radiate sufficient power at frequencies below 200 Hz, their frequency range is extended down to 70 Hz by two loudspeakers. Frequency crossover is set to 250 Hz. The exciter channels are distributed to the loudspeakers by a simple cosine panning law which preserves constant power.

3. PHYSICAL MODEL OF A RECTANGULAR PLATE

3.1. The impulse response of a rectangular plate

According to [20], the impulse response of a rectangular plate at position (x, y), subjected to a point force at excitation position (x0, y0), is

²SuperCollider: https://supercollider.github.io/
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2x Neumann KM140 cardioid microphone \hspace{1cm} \rightarrow \hspace{1cm} \text{calibration microphone (2 ch)} \hspace{1cm} \rightarrow \hspace{1cm} \text{contact microphone (6 ch)} \hspace{1cm} \rightarrow \hspace{1cm} \text{6x piezo disk (Ø 3 cm)}
\hspace{1cm} \rightarrow \hspace{1cm} \text{buffer preamp (6 ch)} \hspace{1cm} \rightarrow \hspace{1cm} \text{3x Schatten Design MicroPre 2}
\hspace{1cm} \rightarrow \hspace{1cm} \text{DI box (6 ch)} \hspace{1cm} \rightarrow \hspace{1cm} \text{3x Samson S-direct plus}
\hspace{1cm} \rightarrow \hspace{1cm} \text{RME HDSPe MADI FX} \hspace{1cm} \rightarrow \hspace{1cm} \text{RME ADI-648} \hspace{1cm} \rightarrow \hspace{1cm} \text{ADAT/DA converter (8 ch)} \hspace{1cm} \rightarrow \hspace{1cm} \text{Behringer ADA8000}
\hspace{1cm} \rightarrow \hspace{1cm} \text{amplifier (6 ch)} \hspace{1cm} \rightarrow \hspace{1cm} \text{Hypex UcD36MP V3}
\hspace{1cm} \rightarrow \hspace{1cm} \text{2x Genelec 8020CPM loudspeaker (2 ch)} \hspace{1cm} \rightarrow \hspace{1cm} \text{structure-borne exciter (5 ch)} \hspace{1cm} \rightarrow \hspace{1cm} \text{5x Visaton EX 30 S}

Figure 5: Block diagram of the hardware signal flow of the AltAR/table platform.

3.3. Undamped natural frequencies

According to Hamilton’s principle [23, p. 964], the motion of an orthotropic plate is governed by four rigidity constants $D_i$ which can be expressed by the more familiar elastic constants Young’s modulus $E_x$ in $x$-direction and $E_y$ in $y$-direction and in-plane Poisson’s ratios $\nu_{xy}$ and $\nu_{yx}$ [24]. Via an orthotropy factor

$$\Omega = \frac{D_1}{D_3}^{1/4} = \left( \frac{E_x}{E_y} \right)^{1/4} = \left( \frac{\nu_{xy}}{\nu_{yx}} \right)^{1/4},$$

(3)

together with isotropic material constants

$$E = \sqrt{E_xE_y}, \quad \nu = \sqrt{\nu_{xy}\nu_{yx}},$$

$$D = \sqrt{D_1D_3} = \frac{E}{12(1-\nu^2)},$$

(4)

we formulate them as

$$D_1 = \Omega^2 D, \quad D_2 = 2\nu D, \quad D_3 = \frac{1}{\Omega^2} D,$$

and

$$D_4 = G_{xy}/3 \approx \min \left\{ \Omega^2, \Omega^{-2} \right\} 2(1-\nu^2) D.$$

(5)

The value of $D_4$ is based either on the in-plane shear modulus $G_{xy}$ or its rough approximation via data from [25].

In combination with the mode shapes $\Theta$ from the previous section and plate dimensions $(l_x \times l_y \times h)$, the rigidities $D_i$ describe the maximum potential energy $E_{pot}$ of the plate [22, 24]. On the other hand, the maximum kinetic energy is connected to the modal mass: $E_{kin} = \omega_0 M_{mn}/2$. After Rayleigh’s principle, if the total mechanical energy $E_{pot} + E_{kin}$ stays constant, $E_{pot} = E_{kin}$ applies for the undamped natural frequencies $\omega_0$, and thus

$$\omega_0^2 = 2E_{pot}/M_{mn}.$$

(6)

For the purpose of solving Eq. 6 we define 4 coefficients:

$$G^4_x = \iint \left( \frac{\partial^2 \Theta}{\partial x^2} \right)^2 \frac{dxdy}{\Psi}, \quad H_xH_y = \iint \frac{\partial^2 \Theta}{\partial x \partial y} \left( \frac{\partial^2 \Theta}{\partial y^2} \right) dxdy,$$

$$G^4_y = \iint \left( \frac{\partial^2 \Theta}{\partial y^2} \right)^2 \frac{dxdy}{\Psi}, \quad J_xJ_y = \iint \left( \frac{\partial^2 \Theta}{\partial x \partial y} \right)^2 dxdy,$$

with

$$\Psi = \pi^4 \iint \Theta^2 dxdy.$$  

(7)

(8)
The undamped natural frequencies $\omega_0 = 2\pi f_0$ then become

$$\omega_0 = \pi \frac{h}{\sqrt{48 S}} \left[ \frac{\Omega^2}{r^2} G_y + 2\nu H_x H_y \right] + \frac{r^2}{12} C_y + \min \left\{ \Omega^2, \Omega^{-2} \right\} 2(1 - \nu) J_x J_y \right]^{1/2}, \tag{9}$$

with surface area $S = l_x l_y$, aspect ratio $r_a = l_x / l_y$ (note that $l_x \geq l_y$ and thus $r_a \geq 1$), and longitudinal wave velocity $c_L = \sqrt{12D/\rho}$. Analytic solutions to the factors $G_y$, $H_x$, and $J_y$ as well as $G_y$, $H_y$, and $J_y$ are provided by [22] for all combinations of the main boundary conditions, analog to the mode shapes in Sec. 3.2. Apart from that, they only depend on the number of nodal lines and can thus be pre-computed.

3.4. Damping

In the impulse response in Eq. 1, the damping is included via the decay factor $\alpha_{mn}$ of the exponential decay of each individual mode. In some cases it is better expressed as loss factor $\eta$ (sometimes called $\tan \delta$). A constant loss factor leads to a decay factor that rises linearly with frequency $f$, with slope $\pi \eta$. The loss factor relates to the other parameters via

$$\eta = \frac{1}{Q} \approx 2\zeta = \frac{2\omega_0}{\omega_T} \approx \frac{2\ln(1000)}{\omega_T 60}, \tag{10}$$

with quality factor $Q$, damping ratio $\zeta$, time constant $\tau$, and $-60$ dB decay time $T_{60}$. The damping model includes four sources of damping: viscoelastic, thermoelastic, and viscous damping, as well as damping due to radiation.

**Radiation damping.** The largest source of damping is the radiation of sound itself. The better a certain mode is radiated, the stronger it is damped. For isotropic plates, the damping due to radiation was formulated by [26] to be

$$\eta_r \approx \frac{2 \rho_0 c_0}{\omega_T \rho h} \left\{ \sum_{m=1}^{3} b_{1m} \left( \frac{\omega_T}{\omega} \right)^m \right\}, \tag{11}$$

with air density $\rho_0 = 1.2$ kg m$^{-3}$, sound velocity $c_0 = 344$ m s$^{-1}$, as well as the constants $b_l = [0.0620, 0.5905, 1.0272]$ and $a_0 = [1.1669, 1.6574, 1.5528, 1]$. Above its cutoff frequency, the critical frequency

$$\omega_c = \frac{c_0}{h} \sqrt{\frac{\rho}{D}} \quad \text{or} \quad f_c = \frac{\omega_c}{2\pi}, \tag{12}$$

radiation is the predominant source of loss (see Fig. 6). Below, other damping mechanisms are much larger.

**Thermoelastic damping** appears mainly in metals due to their strong thermal conductivity and thus dissipation of heat created by elastic deformations. According to [26] the thermoelastic loss factors $\eta_t$ for isotropic plates can be formulated as

$$\eta_{t,mn} \approx \frac{R_{1t}}{c_{1t}} + \frac{R_{2t}}{c_{2t}} \left( J_{1,mn} + \frac{1}{\nu} J_{2,mn} + J_{3,mn} \right), \tag{13}$$

with the meta-parameters

$$R_{1t} = \frac{8T_0 \beta^2}{\pi^4 D \rho C}, \quad \phi = \alpha T \frac{E}{1 - 2\nu}, \quad \text{and} \quad c_{1t} = \frac{k \pi^2}{\rho C}, \tag{14}$$

which depend on thermal expansion coefficient $\alpha_T$, specific heat at constant strain $C$, thermal conductivity $\kappa$, and absolute temperature $T_0$. Thermoelastic losses additionally depend on the partitioning of potential energy between the four rigidities $D_i$, which is expressed by the weighting factors

$$J_i = \frac{J_i}{\sum_{i=1}^{4} J_i}, \tag{15}$$

with (in the isotropic case)

$$J_{1t} = G_x^4, \quad J_{2t} = 2\nu H_x H_y, \quad J_{3t} = G_y^4, \quad J_{4t} = \frac{G_x G_y}{3D} J_x J_y. \tag{16}$$

Due to conservation of energy, $J_1 + J_2 + J_3 + J_4 = 1$ [24].

**Viscoelastic damping** result from hysteresis due to a combination of viscous and elastic properties and can not be predicted from material constants [27]. For isotropic materials, the viscoelastic loss factor $\eta_v$ is almost constant over frequency and can thus be approximated by a single value [27]. Average values for common materials are given by Cremer [28, pp. 191, 195–196]. While Chaigne and Lambourg [26] used a physically justified (but more complex) model, their measured loss factors for glass are almost identical to the geometric mean of the range given by Cremer. For wood, the loss factors follow a “standard trend”, based on only Young’s modulus $E$ and density $\rho$ [29]:

$$\eta_v = 10^{-1.23} \cdot \left( \frac{E}{\rho} \right)^{0.68}. \tag{17}$$

Figure 7 illustrates measured viscoelastic loss factors $\eta_v$ of several materials as a function of the longitudinal wave velocity $c_L$. We infer a rough proportionality factor of 57 for wood and plastic, 5.7 for glass, and 0.57 for metal. This simple factor is preferred over a precise fit, as it implies that a traveling wave receives a constant amount of damping per distance traveled, independent of its velocity. As we had the impression that acrylic and wood sounded overly damped, the model is generalized even further to $\eta_{v,M} = 5.7/c_L$ for non-metals and $\eta_{v, M} = 0.57/c_L$ for metals.

**Viscous damping.** In order to account for damping due to external mounting, absorbers, and the viscosity of the surrounding material, we add a constant viscous decay factor $\alpha_v$ similar to [26]. Values of $\alpha_v$ are given by [26] for aluminum (0.032 Hz), glass (0.88 Hz), carbon (0.8 Hz), and spruce wood (2.4 Hz). We utilize a viscous damping parameter as a simple way to model external interaction such as damping with the palm of the hand. The decay times in the low-frequency range (which otherwise tend to infinity at 0 Hz) are thereby limited, which is common practice in perceptual studies (e.g., [30], [31]).

**Complete damping model.** According to [31], materials between aluminum and glass can be effectively simulated by blending between thermoelastic and viscoelastic damping with the help of a damping interpolation parameter $H$. We generalize this approach
and interpret $H$ as the metallicity of a material. The overall loss factors of the plate therefore sum up to
\[
\eta = (1 - H)\eta_{\text{M}} + H(\eta_{\text{M}} + \eta) + \eta_k + 2\alpha/\omega .
\] (18)

The contribution of the individual damping mechanisms to overall decay factors is depicted in Fig. 8.

### 3.5. Indentation hardness

Depending on the actual material, a striking mallet usually caves into the plate, leaving an indentation behind. The consequence is a viscoelastic + radiation + thermoelastic sound generation.

According to \[33\], the impact between sphere and plate can be approximated by a force that follows the shape of a Hann- or raised-cosine window over time. In order to avoid a convolution with the window itself, its frequency response is approximated by a 3rd-order low-pass filter, with $-3$ dB cutoff frequency $f_{\text{cH}} \approx 0.6555 t_{\text{num}}$. From measurements of \[32\] for xylophone bars struck by mallets of different materials, we can estimate $t_{\text{num}}$ for rosewood (156 $\mu$s) and rubber (625 $\mu$s). Based on the measurements by \[20\], we obtain rough estimates of $t_{\text{num}}$ for acrylic (160 $\mu$s), aluminum (38 $\mu$s), and steel (28 $\mu$s). A simple linear regression of the resulting cutoff frequencies with respect to the respective Brinell hardness (on a logarithmic scale) already provides a sufficient approximation:

\[
\log(f_{\text{cH}}) \approx 0.4160 \log(HB) + 7.6783 .
\] (19)

### 3.6. Radiation efficiency

For the purpose of auditory augmentation, the simulation of a realistic radiation pattern of the rectangular plate is not necessary. However, the frequency-dependent radiation efficiency is essential for the typical sound. An empirical model for the radiation efficiency of an unbluffed plate, valid for aspect ratios between 1 and 5, was proposed by \[21\]. They define edge frequencies which depend on physical parameters and divide the radiation efficiency into frequency regions:

\[
f_b = \sqrt{f_1 f_2} , \quad f_c = \frac{c_0}{2\sqrt{\rho}} , \quad \text{and} \quad f_a = \frac{1}{2\pi} \sqrt{\frac{\rho}{\pi}} .
\] (20)

with air density $\rho_0$, sound velocity in air $c_0$, the surface area of the plate $S$, $f_1$ and $f_2$ are the lowest two natural frequencies of the plate. In case of simply-supported edges, $f_1 = f_{21}$ and $f_2 = f_{22}$. The unlimited radiation efficiency $\sigma'$ is

\[
\sigma' = \sigma_1 = 4S^2 f^4/c_0^4 \quad \text{for} \quad f \leq f_b ,
\] (21)

\[
\sigma' = \sigma_2 \sigma_1^{1-\epsilon} \quad \text{with} \quad \epsilon = \frac{f - f_b}{f_2 - f_b} \quad \text{for} \quad f_b < f < f_2 ,
\] (22)

\[
\sigma' = \sigma_2 = \sigma_0 (f/f_2)^2 \quad \text{for} \quad f_2 < f \leq f_c ,
\] (23)

\[
\sigma' = \frac{\rho c_0}{4\pi^2 S f_0} \frac{\psi}{(1 - \psi^2)^2} + \left(\frac{\pi\eta f}{f_a}\right)^{3/2} \quad \text{for} \quad f_c < f < f_a ,
\] (24)

with perimeter $p = 2(l_x + l_y)$ and $\psi = \sqrt{\frac{f}{f_{\text{cH}}}}$, and

\[
\sigma' = (1 - f_a/f)^{-1/2} \quad \text{for} \quad f_c < f < f_a .
\] (25)

The final radiation efficiency $\sigma$ is limited to

\[
\sigma = \min \left\{ \sigma' , \quad (0.5 - 0.15 \frac{1}{r}) \sqrt{\frac{2\pi f_a d}{c_0}} \right\} .
\] (26)
3.7. Subtractive modal synthesis

The physical model itself can be regarded as a parameter conversion which maps from physical parameters to intermediate sound parameters that are then rendered by resonant filters. In particular, we employ a subtractive modal synthesis approach, based on a bank of parallel Smith-Angell resonators [34], [35, pp. 260–261], each with its individual amplitude, frequency, and Q-factor. All resonators are fed with the same input signal; their outputs are summed.

With increasing damping of a certain mode, the effective frequency of the exponentially decaying sinusoid (see Eq. 1) decreases from the ideal \( \omega_0 \) to a marginally lower one \( \omega_i \) (Eq. 27). The peak of the resonance appears at the even lower frequency \( \omega_i \):

\[
\omega_d = \sqrt{\omega_0^2 - \alpha^2}, \quad \omega_i = \sqrt{\omega_0^2 - 2\alpha^2}.
\]

Filter frequencies are therefore set so that the peak occurs at \( \omega_i \), while both gain and frequency are fine-tuned via the ratio \( \omega_0/\omega_i \). The input gains of the resonators include amplitude weights due to indentation hardness (Sec. 3.5) as well as excitation position and modal mass (Sec. 3.1). The output gains describe the radiation efficiency (Sec. 3.6). Model parameters are set either by external data or by a graphical user interface. Each time a model parameter is changed, the dependent sound parameters are updated and sent to the real-time synthesis engine that runs on the SuperCol-lider server. An exponential lag of 50 ms per 60 dB for all sound parameters ensures smooth transitions.

For some parameters such as boundary conditions, smooth transitions between two states are difficult. In such cases, several models are computed and their sound parameters are morphed instead. For cross-fading instead of morphing, both models are rendered by the sound synthesis as individual layers whose outputs are mixed. Different spatial zones of the interface plate can be defined by arbitrary polygons, each exhibiting one or more layers consisting of one or more models.

4. TECHNICAL CHALLENGES

4.1. Tracking of contact position and hand damping

For realistic and thus plausible auditory augmentation, the location-dependent timbre that is evoked by the mode shapes at excitation position needs to be taken into account. For that purpose the interacting hand or tool tracked in order to pass the coordinates to the physical model in real time via OSC. Tracking of contact position is achieved in two ways.

Firstly, as a cheap solution, we use a NECO 32 inch IR multi-touch overlay frame that allows simultaneous tracking of up to 10 individual points \( \geq 5 \text{mm} \) in size. It features an effective tracked region of 702.1 mm × 395.3 mm, and is usually intended to be attached on top of ordinary TV or computer screens. Connected via USB 2, it delivers tracking data in the HID multi-touch protocol\(^4\), including positions as well as sizes of the tracked fingers (or any other objects) as soon as they are located in the tracked space within the frame. A Python script grabs the device (to prevent the operating system from using it), to compute normalized coordinates (between 0 and 1), and to forward these via OSC. The position of the most recently detected point is taken as the current excitation position. For each point, the major and minor axis of an assumed elliptical

\(^4\)Multi-touch (MT) protocol: eg. https://www.kernel.org/doc/html/latest/input/multi-touch-protocol.html

shape allow a rough estimate of the areas of contact. Their sum is mapped to the viscous damping factor \( \alpha \), simulating continuous hand contact. This enables users to dampen the model plate with their hands in a realistic manner.

Highest speed and precision is achieved by infrared tracking, on the cost of reflective markers. Our tracking system consists of 8 OptiTrack Flex 13 cameras with the Motive:Body software on a dedicated PC which streams the real-time tracking data (absolute Cartesian coordinates, orientation quaternion) as OSC through a small wrapper application\(^5\). Both the tool that mediates the interaction (ball-pen) and the table are tracked through attached markers. The position of the tip of the pen, \( \mathbf{p}_{\text{tip}} = \mathbf{p}_{\text{tool}} + (\mathbf{R}_{\text{tool}} \Delta \mathbf{p}_{\text{tool}}) \), is obtained by the tracked tool position \( \mathbf{p}_{\text{tool}} \), its orientation in form of a rotation matrix\(^6\) \( \mathbf{R}_{\text{tool}} \), and the offset \( \Delta \mathbf{p}_{\text{tool}} \) between tip and tracked tool position in default orientation. It is further transformed by the table to retrieve the excitation position, \( \mathbf{p}_{\text{ex}} = \mathbf{R}_{\text{table}}^{-1} (\mathbf{p}_{\text{tip}} - \mathbf{p}_{\text{table}}) + \Delta \mathbf{p}_{\text{table}} \), with position \( \mathbf{p}_{\text{table}} \), offset \( \Delta \mathbf{p}_{\text{table}} \) and rotation \( \mathbf{R}_{\text{table}} \) of the table. \( x \) - and \( y \) -coordinates are finally normalized (divided by the interface dimensions) and sent to the physical model via OSC. The \( z \)-axis (height) is kept in physical units for optional use.

In order to allow damping by the palm of the hand even in case of marker-based tracking, two load cells (range \( \leq 5 \text{kg} \)) are placed below the front corners. They connect to an Arduino Pro Micro micro-controller via a pair of HX711 A/D-converters, acting as electronic balance. The Arduino provides a Universal Plug and Play (UPaP) USB MIDI device that forwards both load values as separate control change (CC) messages.\(^7\) The balances are set up and zeroed at startup, automatically adapting to the default load of the interface and possibly placed objects.

4.2. Equalization

In practice, the bending wave loudspeaker that is driven by the exciters does not represent a transparent sound system, but is filtered by the transfer function and radiation pattern of the plate. To overcome such distortions, the outputs require individual calibration. While the same applies to inputs (piezos), their calibration was tested but considered as not necessary in the end. In addition, the impulse responses of the signal path between exciters and piezos are needed for feedback subtraction. Impulse response measurements were carried out by the exponential sine sweep (ESS) method [36]. The test signal was generated in Matlab, based on [37]. The actual measurements were performed in Pd\(^8\) and processed in Matlab. The impulse responses were normalized to the maximum of all channels within each type (exciter to piezo, exciter to microphone) so that the maximum equaled 0 dBFS. The calibration microphones (see block diagram, Fig. 5) were placed at the approximate ear positions of a hypothetical user sitting in front of the apparatus. Their cardioid directivity pattern pointed towards the plate center, to suppress room reflections. The desired equalization filter for a given spectrum is actually its inverse. For real-time application, we seek a causal filter with minimum group delay, i.e., a minimum-phase filter that is based only on the inverted magnitude response, ignoring the phase.

\(^5\)pyNatNat: https://git.iem.at/tracking/pyNatNat

\(^6\)Conversion from quaternion to rotation matrix adopted from the JavaScript 3D library: https://github.com/mrdoob/three.js

\(^7\)The source code is provided here: https://github.com/n--w/HX711_MIDI

\(^8\)Using Pd: https://puredata.info/
A linear and time-invariant system (or signal path) can be defined by the impulse response \( h(t) \) or its spectrum \( H(j\omega) \). For better readability, the dependency on \( j\omega \) is omitted. The measured magnitude spectra \( |H_{kj}| \) of the exciters \( j = \{1, \ldots, J\} \) are energetically averaged across microphones \( k = \{1, \ldots, K\} \) in order to form \( |H_{kj}| \). The desired equalization filters become

\[
H_{\text{outj}} = \text{MP} \left\{ |H_{kj}| + \rho \right\}^{-1}
\]

where \( \rho \) is a small regularization parameter and \( \text{MP} \) is the operation of creating a minimum-phase filter from any given magnitude spectrum. Minimum-phase filters are computed in Matlab:

1. **Low- and high-pass filtering.** Below frequency \( f_{\text{max}} \) (e.g., 300 Hz for exciters, due to their cutoff frequency) and above frequency \( f_{\text{max}} \), the magnitude is set to stay constant. This prevents the filter from boosting frequencies the exciter cannot produce. The result is the desired magnitude spectrum.

2. **Regularization.** A 1/8-octave smoothing is applied on the magnitude spectrum, to shorten the impulse response and thus reduce computational complexity of the convolution.

3. **Obtain minimum phase.** We seek a stable and causal filter with low group delay and minimum phase: all its poles and zeros must lie within the unit circle. The (real) magnitude spectrum is converted to a (complex) minimum-phase spectrum via the cepstral method, by mirroring the coefficients to the inside of the unit circle. [38, pp. 297–303][9]

4. **IFFT.** Yield the filter impulse response by inverse FFT.

5. **Cropping and Fading.** The impulse response is cropped at its −60 dB decay time. Finally, a fade-out of the shape of a raised cosine (2nd half of a Hann window) is applied to the last 10% of its duration.

### 4.3. Noise and feedback control

AltAR/table is a rather unstable feedback system. Not only it implements a closed loop between contact microphones and exciters through the same physical plate, but it even inserts a bank of steep resonant filters within that loop. Without some sort of noise and feedback control, it would blow up even before touching it. To suppress noise from irrelevant frequency regions below 80 Hz and above 10 kHz, the input signal is pre-conditioned by 2nd-order high-pass and low-pass filters, respectively. In addition, a simple noise gate makes sure that the system stays quiet if unused. Feedback is controlled in four different ways that are described below and depicted in Fig. 9.

Keeping in mind the physical sound model, it is obvious that howling will occur at the resonant frequencies themselves. We therefore seek a filter which cancels the effect of the resonator filterbank at the input. We equalize the parallel resonators by a combined input and output gains of all gains from Sec. 3 except those at all resonant frequencies) can be solved in order to obtain optimal gains for the notch filterbank [39], [40]. In case of identical filter frequencies or high bandwidths, the system matrix might become singular and thus non-invertible, which requires additional regularization. In the lack of a proper linear equation solver in SuperCollider, the command peak gains, peak frequencies, and Q-factors are sent via OSC to a Python script which evaluates the magnitude responses, solves the linear system in a least squares sense and returns the optimal gains. The prior knowledge that the optimal gains lie between zero (no amplification) and command gains (no over-reduction) is set as constraints to the linear solver, which additionally avoids further regularization.

Another strong tool for howling prevention is frequency shifting [41]. Thereby induced inharmonic distortion is acceptable for the broadband impact sounds in our case. We anyway need the frequency shift for moving the signal energy that remains after the anti-resonator into the relevant frequency range of the resonator. The optimal value for the frequency shift is usually half the average frequency distance between two magnitude peaks in the spectrum [42]. For bars and plates, rendered with AltAR/table, we observed...
an optimal value of 100 Hz — still barely audible for the broadband excitation signal of the impact. The frequency shift is performed via single sideband modulation (SSB), where all frequencies are shifted by a fixed amount, as proposed by [41].

Due to the strong coupling between piezos and exciters, simple feedback suppression is not enough. The feedback path is therefore subtracted from the input signal \( u(t) \), in order to reconstruct the true excitation signal \( e(t) \) without feedback. The hardware can be assumed to be time-invariant, so that a single measurement of the feedback path impulse responses \( h_{FB,j} \) is sufficient. Note that this is a MIMO (multiple input, multiple output) system which requires \( J \) sweeps to obtain the \( J \times J \) individual impulse responses (see Sec. 4.2). The impulse responses are cropped at 32 samples before the shortest signal path delay, as well as after 1024 samples; the first 16 samples are faded in and the last 10 % are faded out with a raised-cosine envelope. The global time delay \( D_b \) and subtraction gain \( g_s \) are fine-tuned by hand so that \( u(t) \) is minimized if pink noise is sent to all outputs at once.

Finally, after activation of the complete system, additional howling frequencies are found by sending pink noise to the outputs and raising the level until howling occurs. As soon as an additional notch filter at the howling frequency is inserted into the signal path, the process is repeated to find more howling frequencies. The system is ready to use if the noise signal can be played back at an adequate level without howling.

5. CONCLUSIONS

With AltAR/table, we now have the technology to create plausible auditory augmentations for any rectangular flat surface. The most obvious use case is the augmented table, but also walls or floors later be replaced by more embedded and miniaturized technology.

The measured total round-trip latency of the running system, including the physical model and all signal processing, equaled 3.7 ms for the longest signal path (between the piezo and exciter that are farthest apart). This exceptional latency satisfies the recommendations for auditory-tactile environments \((\leq 10 \text{ms})[43]\) and even for open canal hearing aids \((\leq 5 \text{ms})[44]\). A realistic plate with about 100 modes, whose model parameters are changed constantly, leads to high computational effort, mainly due to the equation solver for correcting anti-resonator gains. As audio processing, however, employs only a single processor core, we can afford to load remaining cores with that task.

In upcoming research based on AltAR/table we examine the perception of physical properties of rectangular plates in order to evaluate, how much information can be conveyed through this kind of auditory augmentation.

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