Atomic accuracy in predicting and designing noncanonical RNA structure

Rhiju Das1, John Karanicolas2 & David Baker3

We present fragment assembly of RNA with full-atom refinement (FARFAR), a Rosetta framework for predicting and designing noncanonical motifs that define RNA tertiary structure. In a test set of thirty-two 6–20-nucleotide motifs, FARFAR recapitulated 50% of the experimental structures at near-atomic accuracy. Sequence redesign calculations recovered native bases at 65% of residues engaged in noncanonical interactions, and we experimentally validated mutations predicted to stabilize a signal recognition particle domain.

RNA is an ancient component of all living systems, and its catalytic prowess, biological importance and ability to form complex folds has recently come to prominence3. Methods for inferring an RNA’s pattern of canonical base pairs (secondary structure) have been well-calibrated and widely used for decades, often in concert with phylogenetic covariation analysis and structure-mapping experiments2. A central, unsolved challenge at present is to model how the resulting canonical double helices are positioned into specific tertiary structures. The junctions, loops and contacts that underlie these tertiary structures are frequently less than 10 nucleotides long and, in some cases, can self-assemble into the same microstructures when grafted into other helical contexts3,4. A critical requirement for a high-resolution RNA modeling method is its ability to find native-like solutions for the ‘jigsaw puzzles’ presented by these noncanonical motifs.

Despite their small size, these motifs are often quite complex, with intricate meshes of non–Watson–Crick hydrogen bonds and irregular backbone conformations. Existing de novo methods for modeling tertiary structure have largely been limited to low resolution (for example, fragment assembly of RNA (FARNA)5 and discrete molecular dynamics (DMD)6) or have required manual atom-level manipulation by expert users (for example, Manip7). Recent automated full-atom methods (iFold3D8 and MC-Sym9) have described models of impressive quality, but noncanonical regions appear to be either incorrect8 or take advantage of sequence similarity with homologs of known structure in the method’s training database9. With respect to RNA design, rational engineering has yielded versatile sensors and nanostructures10–12 but has so far been limited to rearrangements of existing sequence modules rather than designing new noncanonical structures.

In this work, we demonstrate that the Rosetta framework for scoring full-atom models and sampling molecule conformations13 enables de novo structure prediction and design of complex RNAs with unprecedented resolution. Our approach assumes that native RNA structures populate global energy minima; the prediction problem is then to find the lowest-energy conformation for a given RNA sequence, and the design problem is to find the lowest-energy RNA sequences for a given structure.

Inspired by our experience in protein structure prediction, we hypothesized that the major shortcoming of prior approaches to RNA modeling (poor discrimination of native states by low-resolution energy functions) could be overcome by introducing a high-resolution refinement phase driven by an accurate force field for atom-atom interactions (Supplementary Fig. 1). We therefore developed a method for fragment assembly of RNA with full-atom refinement (FARFAR). This method combines our previous FARNA protocol for low-resolution conformational sampling with optimization in the physically realistic full-atom Rosetta energy function.

We tested FARFAR on a benchmark set of 32 motifs observed in high-resolution crystallographic models of ribozymes, riboswitches and other noncoding RNAs (Supplementary Fig. 2). The conformational search made use of fragments of similar sequence drawn from a single crystallographic model, the large ribosomal subunit from Halocarcula marismortui14. We mimicked a true prediction scenario by ensuring that regions with evolutionary kinship to our test motifs were either absent or excised from the database. Unlike previous work that included canonical double-helical regions that were straightforward to model5,6,9 (Supplementary Fig. 3), we focused on the conformations of noncanonical regions. The tests specified single canonical base pairs immediately adjacent to the motifs as they provided necessary boundary conditions. The total computational time for fragment assembly and refinement of a single model of a 12-nucleotide motif was 21 s on an Intel Xeon 2.33 GHz processor.

Out of the 32 targets, 14 cases gave at least one of five final models with better than 2.0 Å all-heavy-atom r.m.s. deviation to the experimentally observed structure (Table 1 and Supplementary Fig. 4). These included widely studied RNAs such as the bulged-G motif of the sarmc-in-rin loop, the most conserved domain of the signal recognition particle (SRP) RNA,
the bacterial loop E motif and the kink-turn motif (Fig. 1a–d). In nearly all of these cases (11 of 14), the cluster center or lowest energy member recovered all the native noncanonical base pairs, recapitulating not only which residues were interacting but also the exact base edges making contact (Table 1). Several cases of incomplete base-pair recovery occurred because of well-known ambiguities in automated pair assignments1,3. Finally, in two more cases with slightly higher r.m.s deviations (Fig. 1e), de novo models recovered all the noncanonical base pairs. Thus, the FARFAR method achieved high accuracy in 16 of 32 test cases. (Excluding targets used in optimizing weights of the energy function gave slightly better results, with high accuracy achieved in 9 of 16 cases; Online Methods.)

Table 1 | Attainment of native-like structure by de novo FARFAR

| Motif properties | Clustering statistics | Cluster center | Lowest energy cluster member | Lowest r.m.s. deviation sampled (Å) |
|------------------|----------------------|----------------|-----------------------------|----------------------------------|
| Motif properties | Clustering statistics | Cluster center | Lowest energy cluster member | Lowest r.m.s. deviation sampled (Å) |
| Residues | Chains | Cluster rank | Cluster size | R.m.s. deviation (Å) | NWCb | R.m.s. deviation (Å) | NWCb | R.m.s. deviation (Å) | NWCb | R.m.s. deviation (Å) | NWCb |
| G-A base pair | 6 | 2 | 1 | 471 | 1.19 | 1/1 | 1.89 | 0/1 | 0.54 |
| UUCG tetraloop | 6 | 1 | 1 | 498 | 1.12 | 1/1 | 1.14 | 1/1 | 0.64 |
| GAGA tetraloop from sarcin-ricin loop | 6 | 1 | 1 | 500 | 0.82 | 1/1 | 1.00 | 1/1 | 0.52 |
| Loop 8, A-type RNase P | 7 | 1 | 5 | 27 | 1.38 | 0/0 | 1.41 | 0/0 | 1.13 |
| Pentaloop from conserved region of SARS genome | 7 | 1 | 3 | 237 | 1.10 | 1/1 | 1.48 | 1/1 | 0.88 |
| L3, thiamine pyrophosphate riboswitch | 7 | 1 | 4 | 6 | 2.00 | 0/1 | 2.68 | 0/1 | 1.44 |
| Fragment with A–C pairs, SRP helix VI | 8 | 2 | 1 | 284 | 1.83 | 2/2 | 2.74 | 1/2 | 0.48 |
| Helix with U–C base pairs | 8 | 2 | 2 | 491 | 2.10 | 2/2 | 2.56 | 1/2 | 1.11 |
| Rev response element high-affinity site | 9 | 2 | 2 | 4 | 3.95 | 1/2 | 4.42 | 0/2 | 1.96 |
| 34/5 from P4-P6 domain, *Tetrahymena thermophila* ribosome | 9 | 2 | 1 | 335 | 1.76 | 1/2 | 2.12 | 1/2 | 1.09 |
| Tetraloop-helix interaction, L1 ligase crystal | 10 | 3 | 1 | 500 | 1.10 | 1/3 | 1.21 | 2/3 | 0.69 |
| Hook-turn motif | 11 | 3 | 5 | 121 | 2.56 | 3/3 | 2.06 | 3/3 | 1.37 |
| Helix with H–C base pairs | 12 | 2 | 2 | 242 | 2.45 | 1/4 | 1.81 | 2/4 | 1.53 |
| Curved helix with G-A and A-A base pairs | 12 | 2 | 1 | 205 | 1.74 | 2/4 | 1.06 | 4/4 | 0.96 |
| Fragment with G-G and G-A base pairs, SRP helix VI | 12 | 2 | 3 | 98 | 3.27 | 0/5 | 4.25 | 0/5 | 0.86 |
| SRP domain IV | 12 | 2 | 4 | 321 | 1.54 | 2/5 | 1.22 | 4/5 | 0.93 |
| Stem C internal loop, L1 ligase | 12 | 2 | 1 | 489 | 2.24 | 2/3 | 2.42 | 2/3 | 1.88 |
| Four-way junction, HCV IRES | 13 | 4 | 3 | 30 | 10.09 | 1/4 | 10.63 | 1/4 | 2.99 |
| Bulged G motif, sarcin-ricin loop | 13 | 2 | 1 | 81 | 1.46 | 4/4 | 1.66 | 3/4 | 0.86 |
| Kink-turn motif from SAM-I riboswitch | 13 | 2 | 1 | 7 | 1.43 | 3/3 | 1.36 | 3/3 | 1.22 |
| Three-way junction, purine riboswitch | 13 | 3 | 3 | 24 | 6.15 | 0/3 | 6.10 | 0/3 | 3.16 |
| 34a-4b region, metal-sensing riboswitch | 14 | 2 | 3 | 4 | 3.71 | 0/2 | 3.52 | 0/2 | 1.27 |
| Kink-turn motif | 15 | 2 | 2 | 25 | 8.85 | 1/3 | 9.43 | 2/3 | 3.05 |
| Tetraloop and its receptor, P4-P6 domain, *Tetrahymena* ribosome | 15 | 3 | 4 | 13 | 3.31 | 2/5 | 2.89 | 2/5 | 2.21 |
| Tertiary interaction, hammerhead ribosome | 16 | 3 | 2 | 4 | 7.82 | 0/3 | 8.50 | 1/3 | 4.37 |
| Active site, hammerhead ribosome | 17 | 3 | 4 | 5 | 8.64 | 1/3 | 9.28 | 1/3 | 4.41 |
| 35-5a hinge, P4-P6 domain, *Tetrahymena* ribosome | 17 | 2 | 3 | 12 | 9.99 | 0/4 | 10.12 | 0/4 | 4.23 |
| Loop E motif, 5S RNA | 18 | 2 | 2 | 40 | 1.64 | 3/6 | 2.16 | 6/6 | 1.43 |
| L2-L3 tertiary interaction, purine riboswitch | 18 | 2 | 2 | 10 | 8.19 | 0/7 | 8.08 | 0/7 | 5.04 |
| Pseudoknot, domain III, CPV internal ribosome entry site | 18 | 2 | 4 | 11 | 3.55 | 0/0 | 3.90 | 0/0 | 2.29 |
| Pre-catalytic conformation, hammerhead ribosome | 19 | 3 | 5 | 2 | 8.44 | 1/4 | 7.66 | 0/4 | 4.80 |
| P1-L3, SAM-II riboswitch | 23 | 2 | 5 | 7 | 7.40 | 0/1 | 7.47 | 0/1 | 3.99 |

The Rosetta energy function was critical to the success of the approach. Refinements with the previous knowledge-based energy function (FARNA) and with molecular mechanics force fields (from assisted model building with energy refinement (AMBER) and chemistry at Harvard Molecular Mechanics (CHARMM) packages) and standard implicit solvent models led to worse discrimination (Supplementary Table 1). An upcoming generation of polarizable force fields with explicit treatments of water and ions, combined with new free energy estimation methods, may eventually provide increased accuracy, albeit at much higher computational expense16.

For the cases in which the current FARFAR method did not achieve high resolution, we observed symptoms of poor

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292 | VOL.7 NO.4 | APRIL 2010 | NATURE METHODS
conformational sampling: nonconvergence of the lowest-energy models, the inability to sample conformations near the native conformation and the inability to reach energies as low as the native state (see cluster center size and closest-approach r.m.s. deviation in Table 1 and energy gaps in Supplementary Table 2). In particular, each of these metrics became worse for larger motifs, with major difficulty encountered in the sampling of motifs with more than 12 residues (Fig. 1f).

Beyond structure prediction, we subjected the Rosetta full-atom energy function to an orthogonal test that is also a critical precedent for rational biomolecule engineering: the optimization of sequence to match a desired molecular backbone. This ‘inverse folding problem’ was readily solved for even large RNAs by sequence-design algorithms available in the Rosetta framework. For 15 whole high-resolution RNA crystal structures (Supplementary Table 2), we stripped away the base atoms and remodeled them de novo by combinatorial optimization of base identities (A, C, G or U) and rotamer conformations. The overall sequence recovery was 45%, well above the 25% expected by chance. Further, noncanonical sequences (not Watson-Crick or G•U) were recovered at a much higher rate of 65% (Fig. 2a). We observed poorer recovery with the previously developed low-resolution FARNA score function (Fig. 2a and Supplementary Table 2).

Some sequence preferences that differed between natural RNA sequences and the Rosetta redesigns suggested that functional constraints besides folding stability exist for natural sequences, such as binding of protein partners or conformational switching. The availability of a ‘gold standard’ sequence alignment of SRP RNAs from all three kingdoms of life permitted the robust identification of such discrepancies between natural and computed sequence profiles. Sequence changes I and II (Fig. 2b) in this RNA’s most conserved domain were calculated to stabilize this motif; their scarcity in the natural consensus may be due to binding of the protein Ffh. We tested the Rosetta prediction by chemical structure mapping experiments. In a folding buffer of 10 mM MgCl₂ and 50 mM Na-HEPES, pH 8.0, both double-mutant and wild-type constructs gave indistinguishable patterns of dimethyl sulfate modification that were consistent with the predicted tertiary structure (Fig. 2c,d). Additionally, the mutated construct exhibited increased folding stability compared to the wild-type sequence, with less Mg²⁺ required to undergo the folding transition (Fig. 2e); the difference in free energy of folding, −1.2 ± 0.5 kcal mol⁻¹, agreed with the predicted value of −1.6 kcal mol⁻¹ (see Supplementary Fig. 5 for energy calibration). Data from tests of the single mutations also agreed with the Rosetta predictions (Supplementary Fig. 6). These same two sequence changes previously had been suggested to be compatible with the SRP structure in an insightful visual comparison of the SRP motif and the loop E motif19, although no predictions had been made regarding stability.

The power of full-atom refinement demonstrated here, combined with the ease of ascertaining RNA secondary structure, the small size of tertiary motifs and the limited RNA alphabet, now permit atomic resolution de novo modeling and thermostabilization of noncanonical RNA motifs. Unsolved problems remain, including prediction of previously unseen RNA motifs in a blinded fashion, incorporation of small-molecule ligands and explicit metal ions, and prediction and design of larger RNA folds with new functionalities. Improvements in conformational sampling as well as incorporation of even modest experimental data should enable computational methods to meet these critical next challenges. The Rosetta code base is freely available for download at http://www.rosettacommons.org/.
Figure 2 | Computational and experimental tests validating sequence design and thermostabilization. (a) Sequence recovery over 15 high-resolution side-chain–stripped RNA structures optimizing the Rosetta full-atom energy compared to random recovery (25%, dashed line) and compared to tests with the FARNA score function. W-C, Watson-Crick base pairs. (b) Sequence preference predicted from 1,000 redesigns (top) compared to an alignment of SRP domain IV RNA sequences drawn from all three kingdoms of life\(^{(17)}\), in Sequence Logo format\(^{(18)}\). Two mutations (I and II) predicted by the Rosetta redesigns to stabilize folding are indicated. (c) Dimethyl sulfate (DMS) modification data probing the structure and thermodynamics of the wild-type SRP motif and a double-mutant variant. Sites of chemical modification were read out by reverse transcription thermodynamics of the wild-type RNA. (e) Folding isotherms by Mg\(^{2+}\) titration for four separate residues involved in the SRP motif’s noncanonical structure (square, circle, diamond and triangle in c and d). The left-most symbols represent conditions without Mg\(^{2+}\).

**METHODS**

Methods and any associated references are available in the online version of the paper at http://www.nature.com/naturemethods/.

**Note:** Supplementary information is available on the Nature Methods website.

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**AUTHOR CONTRIBUTIONS**

R.D. designed research, implemented the method, analyzed data and prepared the manuscript; J.K. designed research and implemented the method; and D.B. designed research.

**COMPETING FINANCIAL INTERESTS**

The authors declare no competing financial interests.

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ONLINE METHODS

Software implementation. All computational methods were implemented in Rosetta 3.1. Full documentation, explicit command lines and example files necessary to model the structure of the most conserved domain of SRP (PDB code 1LNT) and to redesign all of its residues are included in the “manual” and “rosetta_demos” directories that are part of the release, freely available for download at http://www.rosettacommons.org/manuals/archive/rosetta3.1_user_guide/.

Identification of RNA motifs. An automated algorithm to parse noncanonical segments (that is, residues forming base pairs besides Watson-Crick or G–U pairs), along with ‘bounding’ canonical base pairs, was applied to RNA crystal structures with diffraction resolutions of 3 Å or better, with a focus on ribozymes and riboswitches. Candidate motifs that did not interact with other regions of the structure and had lengths of 20 nucleotides or less were selected. This subset was then filtered to remove sequence-redundant motifs. A final set of 32 sequence motifs and the assumed canonical base pairs (which form ‘boundary conditions’ for each motif) are illustrated in Supplementary Figure 2.

De novo modeling. Generation of de novo models was carried out by fragment assembly of RNA (FARNA), as described previously3, starting from extended chains with ideal bond lengths and bond angles. Minor improvements to the FARNA score function were made to model base-backbone and backbone-backbone interactions at a coarse-grained level (Supplementary Fig. 7). Small improvements in the conformational search were implemented. Rather than using three-residue fragments, the fragment length was made finer, from 3 to 2 to 1, in successive stages of Monte Carlo fragment assembly. In addition, variations in sugar bond length and bond-angle geometries were recorded in the fragment library and copied during fragment insertion moves to ensure sugar ring closure.

Most of the motifs herein had multiple chains connected by at least one Watson–Crick base pair. These canonical base pairs were assumed to form because they are typically known a priori in RNA modeling and because without these double-helical boundary constraints, RNA sequences often form alternative structures (see, for example, ref. 19). The energy function was supplemented with harmonic constraints placed between Watson–Crick edge atoms in the two residues that were assumed to form each bonding canonical base pair (Supplementary Fig. 2). Further, each de novo run was seeded with a random subset of N – 1 Watson–Crick base pairs to define the connections between N chains by a tree-like topology for coordinate kinematics20,21; every 10 fragment insertions, alternative base-pairing geometries, drawn from an RNA database, were tested as an additional type of Monte Carlo move. The source of both the torsion fragments and the base pairing geometries was the refined structure of the archaean large ribosomal subunit (1JJ2; ref. 14), with the sarcin–ricin loop and the kink–turn motifs excluded. Using an alternative ribosome crystal structure for the fragment source (1VQ8) gave indistinguishable results for, for example, Z scores (see below).

We optimized 50,000 FARNA models in the context of the Rosetta full-atom energy function. This energy function is a simple and transferrable function that represents an approximate free energy (minus the conformational entropy) for each molecular state. Interactions between nonbonded atoms are modeled by pair-wise, distance-dependent potentials for van der Waals forces, hydrogen bonds, the packing of hydrophobic groups and the desolvation penalties for burying polar groups13. Based on recent work in the Rosetta community on proteins and DNA, three additional nonbonded terms (Supplementary Fig. 8) were incorporated here and reweighted through an iterative calibration: (i) a potential for weak carbon hydrogen bonds, previously investigated for membrane proteins, (ii) an alternative orientation-dependent model for desolvation based on occlusion of protein moieties, and (iii) a term to approximately describe the screened electrostatic interactions between phosphates. Because subtle, bond-specific quantum effects complicate the general derivation of torsional potentials, we derived preferred values for RNA torsion angles and their corresponding spring constants from the ribosome crystal structure (Supplementary Fig. 9). More sophisticated treatments of electrostatics and the site-specific binding of water and multivalent metal ions, which are expected to be important for some RNA molecules22, will be explored in future work.

Combinatorial sampling of 2′-OH torsions was followed by continuous, gradient-based optimization of all internal degrees of freedom by the Davidson-Fletcher-Powell method. Constraints were included to maintain bond lengths and angles within 0.02 Å and 2°, respectively, of ideal values and to tether atoms near their starting positions (with harmonic constants penalizing a 2 Å deviation by 1 unit). After removing the latter set of tethers, a second stage of 2′-OH torsion optimization and minimization was carried out. After this process, steric clashes and bond geometry deviations were reduced to the level seen in experimental RNA structures, as assessed by the independent MolProbity toolkit (see Supplementary Table 3 for a complete overview).

To test the AMBER99 force field, the TINKER module minimize with the GBSA keyword (implementing the Born radii in ref. 23) was applied to the models that had been refined with the full-atom Rosetta energy function. To test the CHARMM27 force field, the chemistry at Harvard Molecular Mechanics (CHARMM) program24 was applied, using the nucleic acid force field (PARAM27)25. The CHARMM generalized Born molecular volume (GBMV) method26,27 was used as an implicit representation of the solvent. Default parameters for minimization and GBMV were taken from the multiscale modeling tools for structural biology (MMTSB) tool set28. Current molecular mechanics packages do not offer the prospect of continuous minimization of model coordinates in the context of the computationally expensive nonlinear Poisson-Boltzmann treatment of counterions; as a first estimate of the effects of ion screening, we minimized models with the ion-free GBMV model, and then recomputed solvation energies with the Poisson-Boltzmann solver available in MMTSB. In principle, the explicit treatment of counterions and water in molecular mechanics calculations can provide increased accuracy, although the precise and efficient estimation of free energy differences between different molecular conformations remains an unsolved challenge in biomolecular simulation.

Base pairs of models and experimental structures were carried out with an automated annotation method based on RNAview29, but implemented in the Rosetta framework. The automated pair assignments were not entirely unambiguous. As an example, an ambiguity occurred for the SRP motif; base pair assignments from RNAview disagreed with the authoritative manual annotation15.
by giving different interacting edges to a central bifurcated G-G base pair and assigning an extra hydrogen bond between two (nonplanar) C residues (Supplementary Fig. 2). Figure 1 shows the manual annotation.

Iterative optimization of weights of the energy function. Half of the 32 RNA motifs were randomly selected to optimize the weights on the tested score functions. Two thousand RNA models were generated by de novo fragment assembly, and two thousand additional native-like models were obtained by using a library of fragments drawn from the native structure rather than from the ribosome. Weights on the different components of the force field (12 parameters for the Rosetta energy function) were optimized with the finisearch method in Maximize to maximize the sum of the Z score over the training set motifs, with the weights on the van der Waals term fixed. The Z score for the force field was computed as the mean score of nonnative decoys minus the mean score of the 10 lowest-energy near-native models, divided by the s.d. of nonnative decoy scores. In this computation, nonnative decoys with anomalously poor scores (higher than three s.d. from the mean) were filtered out.

Results for large-scale de novo modeling for both training and test sets are given in Table 1. Because weight fitting can lead to unfair bias, we also carried out our analyses on the training and test sets separately. Results on the withheld test set were in fact better than for the training set (mean Z scores of 3.61 versus 3.28; number of cases with positive energy gaps of 10 versus 8; median r.m.s. deviation for best of five clusters of 2.28 Å versus 2.34 Å; and recovery of non–Watson-Crick base pairs of 43% versus 38%), indicating that weight over-parametrization did not occur. Furthermore, final results were largely independent of chosen weights. We recomputed the mean Z scores for native state discrimination after changing the weights of each energy function term by ±50% and optimizing weights of the other scores. Final Z scores changed by less than 5% despite these large perturbations, indicating a robustness to the choice of weights; we have observed similar results in protein-structure prediction (R.D. and D.B.; unpublished data).

Fixed backbone design. Tests of side-chain and sequence recovery were carried out on RNA crystal structures with resolutions better than 2.5 Å without close interactions to protein partners and with bases stripped from the structures (Supplementary Table 2). Using the same core routines as in protein side chain packing and design, the optimization of side-chain conformation and identity was carried out simultaneously at all residues; rapid simulated annealing was aided by precomputation of all rotamer-rotamer pairwise energies. The nucleobase rotamers were constructed with the glycosidic torsion angle $\chi$ set at its most probable anti value and at $-1,-1/2,+1/2$ and $+1$ s.d. from this central value. The central value and s.d. were computed based on RNA residues in the ribosome crystal structure for 2'-endo and 3'-endo sugar puckerers separately. For purines, syn rotamers for $\chi$ were analogously sampled. The placement of the 2'-OH hydrogen was also simultaneously optimized with the base rotamer; the torsion angle defined by the C3'-C2'-O2'-HO2' atoms was sampled at six torsion angles ($-140^\circ$, $-80^\circ$, $-20^\circ$, 40°, 100° and 160°).

Structure mapping. A newly developed high-throughput RNA preparation, chemical modification and capillary electrophoresis readout protocol was used for thermodynamic and structure mapping experiments and is briefly summarized here. SRP-motif RNA constructs were prepared with sequence 5’-GGCUACGGCAAGUA AACAAAAUACUGAGGGGAAGGAGCGAGUUAACCA AACCCAGAACAAACAAACAAACAC-3’ (the last 20 nucleotides form the primer binding site), or with the mutations discussed in the main text. DNA templates including the 20 nucleotide T7 primer sequence (5’-TTCTAATACGACTCACTATA-3’) were prepared by extension (Phusion; Finnzymes) of 60-nucleotide sequences (Integrated DNA Technologies), purified on Qiagen columns (Qiagen) and used as templates for in vitro transcription with T7 polymerase (New England Biolabs). RNA was purified by phenol and chloroform extraction and buffer-exchanged into deionized water with P30 RNAse-free spin columns (BioRad). The RNA (0.5 pmol) was incubated at 44 °C in a Hybex incubator with 50 mM Na-HEPES, pH 8.0, with varying concentrations of MgCl$_2$; after 1 min, dimethyl sulfate (freshly diluted in water) was added to a final concentration of 0.25% (vol/vol) and final volume of 20 µL. Repeat reactions with a final volume of 100 µL gave indistinguishable results for free energy differences between variants. After 15 min of modification, reactions were quenched with 0.25 volumes of 2-mercaptoethanol, oligo-dT beads (poly(A) purist; Ambion) and 5'-rhodamine-green labeled primer (5’-AAAAAAAAAAAAAAA AAGTGTGTTGTTGGTTTCTTCTT 3’, 0.125 pmol), and purified by magnetic separation. Reverse transcriptase reactions were carried out using Superscript III (Invitrogen) and 10 mM dNTPs (with 2'-deoxyinosine triphosphate replacing dGTP) and purified by alkaline hydrolysis of the RNA and magnetic separation. Fluorescent DNA products, with a co-loaded Texas-Red–labeled reference ladder, were separated by capillary electrophoresis on an ABI3100 DNA sequencer and analyzed with specialized versions of the SAFA analysis scripts. Plots and fits of fraction folded were carried out in Matlab (MathWorks), with errors estimated by bootstrapping. Free energy differences between variants with fitted MgCl$_2$ midpoints $K_f$ and apparent Hill coefficients $n_1$ and $n_2$ were calculated as $\Delta G = (1/2) (n_1 + n_2) k_B T \log(K_f / K_0)$. This expression corresponds to a model in which the additional number of Mg$^{2+}$ associated to the RNA upon folding can vary linearly with log [MgCl$_2$].

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