THE CHARACTER OF DISRUPTION OF THE ROCKS SURFACE DURING RAPID COOLING

Introduction. In the study on thermomechanical methods of rock destruction, based on preheating followed by mechanical loading, there are enough facts that indicate that softening by thermal action according to the scheme: heating — sharp cooling is also quite an effective way of softening. In many cases, it is more effective than just preheating.

Prof. G. Brodov, examining the change in the strength of rocks during heating, came to the conclusion that the rapid cooling of heated hard rocks also leads to an irreversible decrease in strength (Brodov, G.). In the study on compressive strength of rocks, which were subjected to heat treatment according to the heating — rapid cooling with water with temperature differences between heating and cooling at 200—400—600 °C he came to the conclusion that the strength decreases monotonously. For plagiogranite, strength decreases from 1.51 to 2.13 times, for coarse-grained monzogranite — from 1.75 to 3.53 times, for fine-grained granodiorite — from 2.26 to 2.53 times. At the same time, the author points out that the main reason for the rock strength decrease is phase transformations and irreversible processes in rocks, without revealing the essence of these processes.

The scientists of the Institute of Geotechnical Mechanics of the National Academy of Sciences of Ukraine formulated the notion that during rapid cooling of heated rocks tensile stresses develop in them. Since the tensile strength of the rocks is an order of magnitude lower than the compressive strength, under certain conditions of intensive cooling (thermal shock) the macrocracks form on surfaces and grow deep into massif (Vakhalin, Yu. N., Trokhimets, N. Ya., Lyash, S. I.). The theoretical development of a single crack development under thermocycling loading is not given in the work.

A model of behavior of the surface layer of rocks in the conditions of thermal shock by cooling is proposed. The model takes into account the development of a fracture macrocrack system and a microcrack system that move in the layer behind the cooling front. The dependence has been obtained that allows determining the penetration depth of a macrocrack system in the rock depending on the thermal exposure regimes and the physical and mechanical properties of the rocks. The formation of a microcrack system in the stretched cooled surface layer which changes its strength properties is experimentally proved. It is shown that the penetration depth of the macrocrack system into the rock is practically independent of the mode of thermal shock by cooling and is determined by the physical and mechanical properties of the rock and the time of exposure. Increasing the potential energy of the stretched rock layer due to an increase in the temperature difference between heating and cooling (“toughening” of the thermal shock regime) leads mainly to an increase in the density of a cracking net on the rock surface.

Methodology. The solution of the problem of crack system development is based on the fact that, as a result of rapid cooling in the surface layer of the rock, the tensile stresses are developed. The stretched layer acquires potential energy, depending on the modes of thermal influence and rock properties. At a certain point, the energy of the stretched layer starts to be spent on the formation of new surfaces of the growing system of macro- and microcracks.

Findings. A model of behavior of the surface layer of rocks in the conditions of thermal shock by cooling is proposed. This model takes into account the development of a fracture macrocrack system and a microcrack system that move in the layer behind the cooling front. The dependence has been obtained that allows determining the penetration depth of a macrocrack system in the rock depending on the thermal exposure regimes and the physical and mechanical properties of the rocks. The formation of a microcrack system in the stretched cooled surface layer which changes its strength properties is experimentally proved. It is shown that the penetration depth of the macrocrack system into the rock is practically independent of the mode of thermal shock by cooling and is determined by the physical and mechanical properties of the rock and the time of exposure. Increasing the potential energy of the stretched rock layer due to an increase in the temperature difference between heating and cooling (“toughening” of the thermal shock regime) leads mainly to an increase in the density of a cracking net on the rock surface.

Originality. For the first time the development of a crack system rather than a single crack in a rock during rapid cooling was considered. The model of the rock surface layer behavior under the conditions of rapid cooling is proposed. The geometric aspects of the initiation and propagation of a macrocrack system into the rock due to thermocycling loading are considered. The fact of initiation of a microcrack system along with macrocracks which change the strength properties of rock in the formation zone is proved.

Practical value. The analytical dependence is obtained that allows determining the penetration depth of a crack system in rocks as a result of thermal shock by cooling. This dependence makes it possible to estimate the size of the damaged by macro- and microcracks zone of a rock, as well as the degree of rock softening depending on its physical and mechanical properties and thermal shock modes of cooling. The results are used in real technological processes with thermocycling impact such as preparing rocks for mechanical destruction, hydraulic fracturing, loosening and explosive destruction.

Keywords: rock, thermal stresses, intensive cooling, macro- and microcrack system

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Further studies showed that the effect of coolant on heated rocks causes the appearance of “honeycomb structure” macrocracks on the surface; also formulas were obtained that allow determining the parameters of the net of cracks on the rock surface depending on the heat treatment regimes and rock properties [1].

Currently, two questions remain open:
- the nature of a net of micro-crack development inside the rock;
- the effect of rapid cooling on the microcracking of the surface layer.

The study on these issues will enable the targeted use of thermal shock by cooling in various real technological processes of rock destruction.

**Literature review.** Currently, the study on the influence of thermal loads on the physicomехanical properties of rocks is being carried out in several areas related to solving specific problems: studying the stability of rocks during the design of nuclear waste storage facilities, studying the processes of coal gasification, heat production in geothermal sources, shale gas and oil production, development of methods for the destruction of rocks based on their preliminary weakening by thermal loads.

In the article [2] the influence of heat treatment on the strength and deformation parameters of granite was studied. It was shown that microcracking in granite begins to appear from a heating temperature of \( T = 400–600 \degree C \), and at \( T = 700–800 \degree C \) an active process of fusion of granite microcracks occurs, which has a significant effect on the deformation processes at given heating temperatures.

Similar results were obtained during tensile tests by the Brazilian method of sandstone heated to \( T = 25–800 \degree C \) [3].

It has been stated that when heated to \( T = 400 \degree C \) the strength of the rock gradually increases, and with higher heating, it drops sharply. In the tensile tests of Laurentian granite heated to \( T = 850 \degree C \), it was determined that the static tensile strength decreases with increasing temperature, while the dynamic tensile strength first increases and then decreases starting from the heating temperature \( T = 450 \degree C \) [4].

A significant increase in sandstone fracture was observed upon heating above \( 300 \degree C \) while heating to \( 300 \degree C \) did not give rise to fracture growth [5].

Ambiguous rock behavior in temperature fields was noted in [6]. In many rocks, when heated to \( T = 200 \degree C \), the strength increases, and at the same time, there is a “transitional value” of temperatures, where the strength begins to decrease. Similar results were obtained in [7], where tests of claystone samples heated above \( T = 200 \) to \( T = 1000 \degree C \) for uniaxial and triaxial compression showed first an increase in strength when heated to \( T = 200 \degree C \), and then its decrease with higher heating.

The study on the effect of heating on the static viscosity of three sandstone varieties of Indian deposits showed an increase in fracture toughness when heated to \( T = 100 \degree C \), and then a gradual decrease in viscosity was observed with further heating [8].

An important geotechnological property of rocks is their permeability when the temperature changes. It is shown that when granite is heated from \( T = 100 \) to \( T = 800 \degree C \), an exponential increase in equivalent permeability is observed due to the formation of microcracks and their coalescence under heating [9].

It should be noted that all of the above studies were carried out to create stationary temperature fields. All tests had their own peculiarities in measuring the strength during heating, and these studies cannot be directly used to study the physical and mechanical properties of rocks in unsteady temperature fields and, especially, under conditions of thermal shock or thermocycling exposure.

One of the important directions for research is an attempt to use thermal loads for the preliminary weakening of rocks in various technological processes of rock destruction.

In the work [10], the authors conducted studies to reduce the mechanical strength of rocks during drilling with diamond crowns using the pulse washing regime. It is shown that pulsed flushing of wells gives higher amplitudes of temperature fluctuations in the bottom sections compared to stationary flushing, due to which the mechanical strength of the rock being destroyed can decrease by an average of 12%.

The generation of thermal energy at the bottom of a well during diamond drilling and its targeted use for thermal cycling of rock sections for softening is considered as one of the promising directions for increasing the efficiency of diamond drilling [11]. At the same time, thermal loads on the face rock according to the scheme: heating-rapid cooling under certain conditions can lead to cracking of the destructible layer and, as a result, increase the overall performance of the diamond tool as a whole [12].

Methods. An analytical solution to the problem of the development of a system of shrinkage cracks is based on the fact that as a result of rapid cooling in the surface layer of a certain
thickness, shrinkage tensile stresses are developed. The stretched layer of the rock acquires potential energy, depending on the properties of the rock and cooling conditions. At a certain point in time, the energy of the stretched layer will be spent on the formation of new surfaces of the growing system of macrocracks.

To confirm the fact of the formation of a system of microcracks in the stretched layer, studies were carried out on drilling of wells with a diameter of 0.01 m with a diamond crown. The walls of the wells were pre-treated with thermal cycling with a temperature difference ∆T of 300 and 600 °C. Drilling was carried out in granite by a crown with a diameter of 0.02 m. Based on the change in drilling speed, it was concluded whether there is a developed system of microcracks after treatment by rapid cooling.

Results. Upon sharp cooling of the surface rock layer at the boundary of the half-space, tensile stresses occur parallel to the surface σx = σy = σz = 0. The depth of penetration of the “cold” temperature front into the rock at the initial moments of time can be estimated by the dependence (Dmitriev, A. P., Goncharov, S. A., Germanovich, L. N.)

\[ m = a \cdot \tau^{0.5}, \]  

where \( a \) is the thermal diffusivity; \( \tau \) is exposure time with a coolant. If the temperature difference between the rock and the cooling medium is large enough (hundreds of degrees), then macro- and micro-destruction of the massif in the zone of a sharp change in temperature should be expected.

The model of rock behavior may look as follows. Since the rock resistance to fracture is an order of magnitude lower than the resistance to compression, when creating a certain temperature ∆T and time \( \tau \) conditions, the rock can be torn by macrocracks.

However, it should be expected that from the beginning of cooling to the appearance of macrocracks, along with the isothermal, a microdestruction wave will propagate into the rock, behind which there is a layer broken by microcracks, resting on an elastic foundation and rigidly adhered to the latter. The question of whether microcracking is formed in the rock layer and how it affects the elastic and thermal properties remains open, since test results of this kind are unknown, and there are no corresponding petrographic observations of cracks of the required scale.

Let us consider the energy prerequisites for the development of cracks in a cooled surface layer.

In the one-dimensional thermoelasticity problem for a half-space, each point of which is in a state of biaxial tension \( \sigma_x = \sigma_y = \sigma_z = 0 \), the specific elastic energy of a unit volume is determined by the dependence (Dmitriev, A. P., Goncharov, S. A., Germanovich, L. N.)

\[ W = S \left(1 - \frac{\nu}{E} \right) \int_0^\infty \sigma_1^2(z) \, dz. \]  

It was established that during rapid cooling, the surface of the rock is torn by a “honeycomb” fracture, extending deep into the rock. The size of the cracking cell is determined by the dependence [13]

\[ g = \frac{0.45 \cdot K^2 \cdot \sigma_0^2}{\pi \cdot \sigma_1 \cdot \sigma_f^2}, \]  

where \( K \) is the rock adhesion module; \( \sigma_0 \) is rock compressive strength; \( \sigma_f \) is maximum tensile stresses occurring in the rock at a given cooling mode; \( \sigma_1 \) is tensile strength of the rock.

In its turn

\[ K = \sqrt{\frac{E}{\gamma}}, \]

where \( \gamma \) is the specific surface energy of rock destruction;

\[ \sigma_f = \frac{\beta \cdot E \cdot (T_i - T_e)}{1 - \nu}, \]

where \( \beta \) is the coefficient of linear expansion of the breed; \( T_i \) is the initial rock temperature (after heating); \( T_e \) is the temperature of the cooling medium.

In real cases, the rock is torn by a “cellular” fracture, in which the cells have a 4–5 or 6-angled shape. In the work (Steinhaus, G.) it is shown that the structures of cracks formed as a result of the action of shrink stresses have the shape of polygons with the number of sides no more than 6. Therefore, in formula (4) we are talking about the equivalent (reduced) cell size of honeycomb, where the area of real cells is reduced to a square with an average area equal to the average area of real cells. In other words, the average equivalent size of the destruction cell is determined as follows: the number \( n \) of real cells per unit area \( S \) is calculated and the equivalent size is determined by the formula \( g_e = \sqrt{\frac{s}{n}} \). Such a replacement leads to a certain decrease in the density of the net of cracks since a hexagon of the same square area has a perimeter of almost 40 % more than a perimeter of a square. Considering the fact that along with hexagons in the net of cracks there are quadrangles and pentagons, the total increase in the perimeter of the net of cracks, in our estimation, does not exceed 20 %. At the same time, the strength of the cracked material is naturally underestimated. To clarify the general picture of the behavior of the system of cracks under conditions of rapid cooling, such assumptions, in our opinion, are quite justified, taking into account the significant simplification of further calculations.

Schematic reduction of a real net of cracks to an equivalent net of cracks is shown in Fig. 1.

With a rapid cooling of the rock surface, at some point in time the elastic energy of a thin stretched layer will be spent on the destruction of the rock (on the formation and development of cracks). If we assume that a wave of microdestructions follows the temperature front, then the general energy balance may look as follows:

\[ W = W_{ec} + W_{mc} + W_p, \]

where \( W_{ec} \) is the energy of formation of new surfaces of macrocracks; \( W_{mc} \) is microcracking energy; \( W_p \) is the energy of plastic deformations and phase transitions in the rock.

Since the question of the formation of a developed system of microcracks at this stage of the study is open, we will assume that all the energy of the stressed layer will go into the energy of the formation and development of macrocracks. Then

\[ W = 2 \cdot \gamma \cdot S_e, \]  

Fig. 1. The scheme of reduction of the real net of cracks on the surface of the rock to the equivalent during rapid cooling: a – a real picture of the net of cracks on the surface; b – a picture of the equivalent net of cracks on the surface.
where \( S_1 \) is an area of newly formed cracks; coefficient “2” means that each crack gives two surfaces as a result of development.

The total elastic energy of the surface layer with an area \( S \) and thickness \( m \) after some time of exposure to the coolant, taking into account dependencies (1, 2, 3), will have the form

\[
W = S \left( a \cdot \tau \right)^{2/3} \frac{1 - v}{E} \sigma^2. \tag{6}
\]

Under fairly severe cooling conditions (boundary conditions of the first kind or boundary conditions of the third kind, with a heat transfer coefficient \( a > 10^3 \text{ W/m}^2 \cdot \text{K} \)), discontinuous thermal stresses in a thin surface layer of the rock are determined by dependence (6), therefore formula (9) for the total elastic energy in the rock layer has the form

\[
W = S \left( a \cdot \tau \right)^{2/3} \beta^2 \cdot E \cdot \Delta T^2 \cdot \left(1 - v\right)^{-1}, \tag{7}
\]

here \( \Delta T = T_0 - T \).

Let us estimate the total surface area \( S_1 \) of newly formed cracks in the cooling area \( S \) according to the scheme (Fig. 1, b). The total length of cracks on the surface is defined as the total length of straight cracks. On each side of the area \( S \) the number of cracks will be greater by one than the number of cells with a size \( g_e \) on this side. Assuming that the area \( S \) is a square, the length of the side of the square (the same as the length of one longitudinal or transverse crack) will be equal \( \sqrt{S} \), and the total number of longitudinal and transverse cracks will be expressed by the dependence

\[
n = 2 \left( \frac{\sqrt{S}}{g_e} + 1 \right).
\]

The total length of cracks coming to the surface is

\[
L = 2 \sqrt{S} \left( \frac{\sqrt{S}}{g_e} + 1 \right),
\]

and the area of newly formed cracks is estimated by the formula

\[
S_1 = 2 \cdot h \cdot \sqrt{S} \left( \frac{\sqrt{S}}{g_e} + 1 \right),
\]

where \( h \) is the penetration depth of the system of cracks into the massif.

If we assume that all the accumulated elastic tensile energy of the rock layer will go to the formation of new crack surfaces, then taking into account dependences (5, 6 and 7) we obtain the equality

\[
S \cdot (a \cdot \tau)^{2/3} \beta^2 \cdot E \cdot \Delta T^2 \cdot (1 - v)^{-1} = 4 \cdot \gamma \cdot h \sqrt{S} \left( \frac{\sqrt{S}}{g_e} + 1 \right).
\]

Hence, the penetration depth of cooling cracks in the array is determined by the formula

\[
h = \frac{\sqrt{S} \cdot \sigma \beta^2 \cdot E \cdot \Delta T^2}{4 \gamma (1 - v) \left( \frac{\sqrt{S}}{g_e} + 1 \right)} \tag{8}
\]

Let us estimate the penetration depth \( h \) of the “honeycomb” system of cracks and the average velocity \( V \) of the motion of the fracture front in granite and glass during rapid cooling according to dependence (8).

In [14], experimental and theoretical values are given (calculated by the formula (4) of equivalent cells of cracks \( g_e \) depending on the temperature difference \( \Delta T \) during rapid cooling).

For granite: \( g_e = 2.5 \cdot 10^{-3} \text{ m} (2.5 \text{ mm}) \) at \( DT = 335 \text{ °C} \), \( g_e = 2.5 \cdot 10^{-3} \text{ m} (1.5 \text{ mm}) \) at \( DT = 435 \text{ °C} \).

For glass: \( g_e = 2.5 \cdot 10^{-3} \text{ m} (1.5 \text{ mm}) \) at \( DT = 185 \text{ °C} \), \( g_e = 0.97 \cdot 10^{-3} \text{ m} (0.97 \text{ mm}) \) at \( DT = 235 \text{ °C} \).

Temperatures \( \Delta T \) for glass are taken lower than for granite since, at higher temperatures heating in glass, the phenomena of thermoplasticity will play a significant role.

For calculation we take the value of the area of the cooling spot \( S = 25 \cdot 10^{-4} \text{ m}^2 (25 \text{ cm}^2) \), the cooling time \( \tau = 0.5, 1, 5, 10 \text{ s} \).

Granite: \( E = 2.6 \cdot 10^6 \text{ N/m}^2; \beta = 10^{-5} \text{ K}^{-1}; v = 0.1; \gamma = 3.5 \text{ J/m}^2; a = 8.3 \cdot 10^{-7} \text{ m}^2/\text{s} \).

Glass \( E = 10^6 \text{ N/m}^2; \beta = 8 \cdot 10^{-6} \text{ K}^{-1}; v = 0.2; \gamma = 2.6 \text{ J/m}^2; a = 5.3 \cdot 10^{-7} \text{ m}^2/\text{s} \).

The characteristics of granite and glass are taken from [15].

The calculation results are shown in Table 1.

For illustrative purposes, Figs. 2–6 show, in addition to the dependences of the penetration depth of the crack system into granite and glass \( h = f(\Delta T) \) on the difference in heating and cooling temperatures \( \Delta T \), for exposure times \( \tau = 5 \text{ s} \), the dependence of the specific energy of the stressed layer \( f = f(\Delta T) \) on the temperature difference \( \Delta T \), which is calculated by the formula and the dependence of the crushing degree of a surface by a crack system \( d = f(\Delta T) \) on the temperature difference \( \Delta T \). Wherein \( d \) is determined as \( d = 1/g \) (\( g \) is calculated by dependence (4)).

It should be noted that the specific energy of the stressed layer \( U \) and the degree of crushing \( d \) at each point \( \Delta T \) in the stressed layer and, accordingly, the penetration depth of the crack system into the rock due to the transition of this energy to the formation of new fracture surfaces are, among other things, also functions of the exposure time of the coolant \( \tau \).

The graphs show that an increase in the specific potential energy of the stressed layer leads to an increase in the degree of surface fragmentation by a net of cracks but practically does not affect the penetration depth of the net into the rock. That is, as much as the additional tensile energy obtained by increasing \( \Delta T \), is spent mainly on crushing the surface with a smaller system of cracks and does not affect the degree of pen-

### Table 1

| Breed   | \( \tau \), s | \( \Delta T \), °C | \( g_e \), mm | \( h \), mm | \( V \), mm/s |
|---------|--------------|-------------------|-------------|----------|-------------|
| Granite | 0.5          | 335               | 2.5         | 3.6      | 7.20        |
|         | 1            |                   |             | 5.1      | 5.10        |
|         | 5            |                   |             | 11.4     | 2.28        |
|         | 10           |                   |             | 16.1     | 1.61        |
|         | 0.5          | 435               | 1.5         | 3.7      | 7.40        |
|         | 1            |                   |             | 5.3      | 5.30        |
|         | 5            |                   |             | 11.9     | 2.38        |
|         | 10           |                   |             | 16.8     | 1.68        |
| Glass   | 0.5          | 185               | 1.5         | 1.9      | 3.8         |
|         | 1            |                   |             | 2.8      | 2.8         |
|         | 5            |                   |             | 6.3      | 1.26        |
|         | 10           |                   |             | 8.8      | 0.88        |
|         | 0.5          | 235               | 0.97        | 2.0      | 4.00        |
|         | 1            |                   |             | 2.9      | 2.90        |
|         | 5            |                   |             | 6.5      | 1.30        |
|         | 10           |                   |             | 9.1      | 0.91        |
etration of the fracture into the rock. Fig. 6 shows the dependencies of penetration depth of the cracks into the rock, depending on the time of coolant exposure for granite and glass. From the graphs, it follows that shrinkage cooling cracks move into the massif with deceleration.

Analysis of the material allows us to draw the following preliminary conclusions:

- during rapid cooling of the rock surface, the elastic potential tensile energy is accumulated in the cooled layer;
- with the increase in cooling time, the thickness of the stressed layer increases and, accordingly, the amount of stored energy increases;
- an increase in the temperature difference $\Delta T$ between the rock and the coolant, ceteris paribus, leads to an increase in the stored energy in the stressed layer;
- under certain conditions, the accumulated tensile energy begins to be spent on the formation of a net of cracks of a “honeycomb” structure growing deep into the massif;
- an increase in the energy of the stressed layer by raising the temperature difference $\Delta T$, ceteris paribus, hardly affects the penetration depth of the cracks net into the rock and the speed of advancement of the cracking front. All “additional” energy is spent on finer crushing of the rock by a net of macrocracks;
- cooling cracks move into the rock with a deceleration;
- the penetration depth of cracks in the massif exceeds the depth of the cooled rock layer, so in granite, after 1s of cooling at $\Delta T = 435 ^\circ C$ the thermal front, according to dependence (1), deepens by 0.91 mm, and the cracks penetrate to a depth of 5.3 mm (Table 1).

In the framework of the model under consideration, the question remains unclear: does microcracking develop in the field of tensile stresses appearing from rapid cooling? As mentioned earlier, the model of the behavior of the surface layer of rocks under thermal shock cooling involves not only macrocracking of the surface but also the formation of a developed system of microcracks in the stretched layer, that is, along with the temperature front, a microdestruction wave extends into the rock.

In order to confirm or refute this model, the following experimental studies were carried out.

The idea was that if a microdestruction wave occurs during rapid cooling, then any subsequent small-scale mechanical failure should respond to the presence of microcracks. As mentioned earlier, the model of the behavior of the surface layer of rocks under thermal shock cooling involves not only macrocracking of the surface but also the formation of a developed system of microcracks. As mechanical destruction, diamond drilling was adopted with an impregnated small diameter crown. According to (Gorshkov, L. K., Gorelikov) the thickness of the chips removed by diamonds when cutting with a
diamond crown is 0.16–0.03 mm for single-layer crowns and 0.1–0.02 mm for impregnated ones.

In accordance with the generally accepted classification, cracks with a size of 0.1 : 0.01 mm are considered microcracks in the rock. Thus, the thickness of the removed chips is comparable with the magnitude of microcracks in the rock. Hence, if after surface treatment by rapid cooling there is a noticeable increase in drilling speeds, it means that a microdestruction wave accompanies the penetration of a “cold” heat front into the rock. The experiments were carried out on samples of gray granite. In small blocks of at least 250 × 250 × 150 mm in size, holes with a diameter of 10 mm were drilled. Then the inner surface of the holes was subjected to heat treatment (heating-cooling). Heating parameters involve temperature 300 and 600 °C, time – 30 min.

After that, the walls of the wells were cooled in various modes: they were cooled in the air with the block, or immediately after heating they were washed with water at a temperature of 20 °C for 1 min.

Thus, the walls of the wells were treated with thermocyclic treatment according to three schemes:
- heating to 600 °C and cooling in the air;
- heating to 300 °C and rapid cooling with water;
- heating to 600 °C and rapid cooling with water.

The experimental results are shown in the Table 2. The analysis of the drilling results shows that thermocyclic treatment leads to a decrease in the strength of granite. The main softening factor is the rapid cooling of the heated rock surface. Since diamond drilling is accompanied by a fine-grained fracture of the rock, therefore, an increase in drilling efficiency after thermocyclic treatment clearly indicates that the softening process is due to an increase in microcracking, the effect on pores, places of crystal adhesion, and others.

It can be argued that the proposed model of cracking of a rock layer by macro- and microcracks as a result of thermal shock cooling is confirmed.

The considered thermocyclic surface treatment of rocks can be used in various technological processes of drilling (in particular, diamond drilling) and expansion of wells, as well as in the preparation of wells for an explosion, hydraulic fracturing, injection of liquid, and so on.

**Conclusions.** The surface treatment of rocks by rapid cooling leads to the following:
- the surface of the rock is cracked by a “honeycomb” system of macrocracks. Cracks move into the massif with deceleration;
- the penetration depth of the macrocracks system depends mainly on the physicochemical properties of the rocks and the cooling time and weakly depends on the temperature difference ΔT between the rock and the cooling medium;
- the crushing degree of the stressed rock layer by a macrocracks system is determined mainly by the temperature difference ΔT;
- behind the front of the advancement of the cooled layer into the rock, a wave of microcracking of the rock moves;
- assessment of energy costs for microcracking requires additional studies, which will entail clarification of the dependence to determine the penetration depth of the macrocracks system into the rock during rapid cooling.

**Table 2**

| Type of processing | Wall heating temperature, °C | Type of cooling | Drilling speed, cm/min | Drilling speed increase |
|--------------------|------------------------------|-----------------|------------------------|------------------------|
| Without treatment  | –                            | –               | 1.90                   | –                      |
| Heating-cooling    | 600                          | Air             | 2.28                   | 1.2                    |
| Heating-cooling    | 300                          | Water           | 2.66                   | 1.4                    |
| Heating-cooling    | 600                          | Water           | 3.99                   | 2.1                    |

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Мета. Вивчення закономірностей розвитку системи макро- і мікротріщин у гірських породах при різкому охолодженні для ефективного знімання гірських порід.

Методика. Вплив питання щодо розвитку системи макро- і мікротріщин засновано на тому, що в результаті різкого охолодження в поверхневому шарі породи розвиваються напруги розтягу. Розглянутий шар набуває потенційну енергію, залежну від режимів теплового впливу та властивостей породи. У лінійний момент часу енергія розтягу є причиною виникнення макро- і мікротріщин.

Результати. Запропонована модель поведінки поверхневого шару гірських порід в умовах термічного удару охолодження, що припускає розвиток у породі системи макротріщин розтягу, що рухаються в шарі за фронтом охолодження. Отримана залежність, що дозволяє визначати глубину проникнення системи макротріщин у породу в залежності від режимів теплового впливу та фізико-механічних властивостей гірських порід.

Методика. Експериментально доведено формування в розтягнутому охолодженому шарі системи мікротріщин, що змінюють властивості міцності породи у межах охолодженого шару. Показано, що система макротріщин рухається в масиві з уповільненням і проникає в породу глибше за товщину охолодженого шару, а мікротріщини формуються в межах розтягнутого охолодженого шару.

Наукова новизна. Уперше розглянуто розвиток не одиночної тріщини в породі при різкому охолодженні, а системи тріщин. Запропонована модель поведінки поверхневого шару гірських порід в умовах різкого охолодження. Розглянуті геометричні аспекти формування й руху системи макротріщин у масиві унаслідок термічного навантаження. Доведено факт формування системи макротріщин у породі на основі тріщин змінюючих прочності в умовах охолодження. Розглянуті геометричні аспекти формування й руху системи мікротріщин у породі при різкому охолодженні.

Результати. Експериментально доказано формування розтягнутого охолодженого шару, що формують систему макротріщин, що рухаються в масиві з уповільненням і проникають в породу у залежності від режимів теплового впливу та фізико-механічних властивостей гірських порід. Показано, що система макротріщин рухається в масиві з уповільненням і проникає в породу у залежності від режимів теплового впливу та фізико-механічних властивостей гірських порід.

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Результати. Експериментально доказано формування розтягнутого охолодженого шару, що формують систему макротріщин, що рухаються в масиві з уповільненням і проникають в породу у залежності від режимів теплового впливу та фізико-механічних властивостей гірських порід.

Ключові слова: розтягнута поверхня, термічна напруга, інтенсивне охолодження, система макро- і мікротріщини, розтягнута термічна напруга.