Molecular shock tracers in NGC 1068: SiO and HNCO

G. Kelly, S. Vit, S. Garcia-Burillo, A. Fuente, A. Usero, M. Krips and R. Ner

1 Department of Physics and Astronomy, University College London, Gower Street, London, WC1E 6BT, U.K. email: g.kelly@ucl.ac.uk
2 Observatorio Astronómico Nacional (OAN)-Observatorio de Madrid, Alfonso XII 3, 28014-Madrid, Spain
3 Observatorio Astronómico Nacional (OAN), Apdo 112, 28803 Alcalá de Henares, Spain
4 Institut de Radioastronomie Millimétrique, Domaine Universitaire, 38406 St-Martin-d’Hères, France

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ABSTRACT

Aims. We present and compare the distribution of two shock tracers, SiO and HNCO, in the Circumnuclear Disk (CND) of NGC 1068. We aim to determine the causes of the variation in emission across the CND.

Methods. SiO(3 − 2) and HNCO(6 − 5) emission has been imaged in NGC 1068 with the Plateau de Bure Interferometer (PdBI). We perform an LTE and RADEX analysis to determine the column densities and physical characteristics of the gas emitting these two lines. We then use a chemical model to determine the origin of the emission.

Results. There is a strong SiO peak to the East of the AGN, with weak detections to the West. This distribution contrasts that of HNCO, which is detected more strongly to the West. The SiO emission peak in the East is similar to the peak of the molecular gas mass traced by CO. HNCO emission is offset from this peak by as much as ∼80 pc (≤1″).

We compare velocity integrated line ratios in the East and West. We confirm that SiO emission strongly dominates in the East, while the reverse is true in the West. We use RADEX to analyse the possible gas conditions that could produce such emission. We find that, in both East and West, we cannot constrain a single temperature for the gas. We run a grid of chemical models of potential shock processes in the CND and find that SiO is significantly enhanced during a fast (60 km s−1) shock but not during a slow (20 km s−1) shock, nor in a gas not subjected to shocks at all.

We find the inverse for HNCO, whose abundance increases during slow shocks and in warm non-shocked gas.

Conclusions. High SiO and low HNCO indicated a fast shock, while high HNCO and low SiO indicates either a slow shock or warm, dense, non-shocked gas. The East Knot is therefore likely to contain gas that is heavily shocked. From chemical modelling, gas in the West Knot may be non-shocked, or maybe undergoing a much milder shock event. When taking into account RADEX results, the milder shock event is the more likely of the two scenarios.

Key words. galaxies: ISM - galaxies: individual: NGC 1068, galaxies: nuclei, ISM: molecules

1. Introduction

Molecular emission is now routinely used to probe and trace the physical and chemical processes in external galaxies. Over the past 20 years or so, different molecules have been found to trace different gas components within a galaxy (for example HCO−, HOC+ in PDRs (e.g. Savage & Ziurys 2004; García-Burillo et al. 2002), HCN and CS for dense gas (e.g. Gao & Solomon 2001; Bayet et al. 2008)). However, it is seldom possible to identify one molecular species with one gas component only, as often energetics play a key role in shaping the spectral energy distribution of the molecular ladders. Of particular interest to this study are the molecules SiO and HNCO, which are both well known tracers of shocks (Martín-Pintado et al. 1997; Rodríguez-Fernández et al. 2010). Both these molecules have been observed and used as shock tracers in external galaxies (Meier & Turner 2005; Usero et al. 2006; Martín et al. 2009; García-Burillo et al. 2010).

HNCO may be formed mainly on dust grain mantles (Fedoseev et al. 2015) or possibly in the gas phase, followed by freeze out to the icy mantles (López-Sepulcre et al. 2015). In either cases its location on the outer regions of the dust grain means that it is easily sublimated even in weakly shocked regions; hence HNCO may be a particularly good tracer of low velocity shocks. Silicon, on the other hand, is partially depleted from the gas to make up the dust grain itself. This extra silicon is only released into the gas phase in higher velocity shocked regions through sputtering. Once it is in the gas phase, it can react with molecular oxygen or a hydroxyl radical to form SiO (Schilke et al. 1997), which can then be used to trace more heavily shocked regions.

NGC 1068 is a well-studied nearby (D = 14 Mpc (Bland-Hawthorn et al. 1997), 1″ ≈ 70 pc) Seyfert 2 galaxy. Its molecular gas is distributed over three regions (Schinnerer et al. 2000): a starburst ring with a radius ∼1.5 kpc, a smaller stellar bar running north East from a circumnuclear disk (CND) of radius ∼200 pc. García-Burillo et al. (2010) used the Plateau de Bure Interferometer (PdBI) to map the galaxy and find strong detections of SiO(2 − 1) in the East and West of the CND. The SiO kinematics of the CND point to an overall rotating structure, distorted by non-circular and/or non-coplanar motions. The authors concluded that this could be due to large scale shocks through cloud-cloud collisions, or through a jet-ISM interaction. However, due to strong detections of CN not easily explained by shocks, they also suggest that the CND could be one large X-ray dominated region (XDR). More
recently, the CND has been mapped at very high resolution with ALMA in several molecular transitions (García-Burillo et al. 2014; Nakajima et al. 2015; García-Burillo et al. 2016). In García-Burillo et al. (2014), five chemically distinct regions were found to be present within the CND: the AGN, the East Knot, West Knot and regions to the north and south of the AGN (CND-N and CND-S). Viti et al. (2014) combined these ALMA data with PdBI data and determined the physical and chemical properties of each region using a combination of CO rotation diagrams, LVG models and chemical modelling. It was found that a pronounced chemical differentiation is present across the CND and that each sub-region could be characterised by a three-phase component interstellar medium: one of these components comprises shocked gas and seems to be traced by a high-J (7–6) CS line.

We now resolve the CND in both SiO(3–2) and HNCO(6–5) and couple these with previous lower-J observations. In Section 2 we describe the observations, while in Section 3 we present the molecular maps. In Section 4 we present the spectra at each location. In Section 5 we perform an LTE and RADEX analysis in order to constrain the physical conditions of the gas, as well as chemical modelling to determine its origin. We briefly summarise our findings in Section 6.

2. Observations

Observations of NGC 1068 were carried out with the PdBI array (Guilloteau et al. 1992) between 2010 January 23 and March 5. We used the AB configurations and six antennae. We simultaneously observed the ν=0, J=3–2 line of SiO (at 130.2686 GHz) and the ν=6–5 band of HNCO (at 131.4–132.4 GHz). The HNCO(6–5) band is split up into many hyperfine lines blended around five groups ((K_p, K_a)=(1, 6)–(1, 5), (2, 5)–(2, 4), (2, 4)–(2, 3), (0, 6)–(0, 5), and (1, 5)–(1, 4)). The strongest group of lines, ((K_p, K_a)=(0, 6)–(0, 5)), lies at 131.8857 GHz. During the observations the spectral correlator was centered at the mock rest frequency 131.0765 GHz. This choice allowed us to cover simultaneously the SiO and HNCO lines. Rest frequencies were corrected for the recession heliocentric velocity initially assumed to be v_0(HEL)=1137 km s^{-1}. The correlator configuration covers a bandwidth of 1 GHz for this setup, using eight 320 MHz-wide units with an overlap of 90 MHz; this is equivalent to 2290 km s^{-1} at 131.0765 GHz. The phase and amplitude calibrators were 0215+015 and 0138-097, with fluxes accurate to 10%. The flux calibrator was MWC349 giving 1.36 Jy and a stable flux with an accuracy of 5%. Observations were conducted in single pointing mode with a field-of-view of size 38.8" centered at α_2000=02°42′40.71" and δ_2000=–00°00′47.94". The latter corresponds to the nominal position of the AGN core, as determined from different VLA and VLBI radio continuum images of the galaxy (e.g. Gallimore et al. 1996). Visibility were obtained through on-source integration times of 20 minutes framed by short (~2 min) phase and amplitude calibrations on nearby quasars. The absolute flux scale in our maps was derived to a 10% accuracy based on the observations of primary calibrators whose fluxes were determined from a combined set of measurements obtained at the 30m telescope and the PdBI array.

The image reconstruction was done with the standard IRAM/GILDAS software (Guilloteau & Lucas 2000). We used natural weighting and no taper to generate the SiO and HNCO line maps with a size of 133" and 0.13"/pixel sampling; the corresponding synthesized beam is 1.1"×0.7", P.A=23°. The conversion factor between Jy beam^{-1} and K is 90 K Jy^{-1} beam. The point source sensitivities were derived from emission-free channels. They are 1.2 mJy/beam in 5 MHz-wide channels. Images of the continuum emission of the galaxy, not shown in this paper, were obtained by averaging those channels free of line emission at both frequency ranges.

We have also used the SiO(ν=0, J=2–1) PdBI map of García-Burillo et al. (2010) to derive the 3–2/2–1 line ratio map in T_{AB} units at the common (lower) spatial resolution of 3.6"×2.1", P.A=29° of the 2–1 line map. This required the use of a Gaussian kernel of 3.4"×1.9", P.A=29° to convolve the SiO(3–2) map. Hereafter, velocities are referred to v_0(HEL)=1137 km s^{-1}.

3. Molecular gas maps

3.1. SiO

Figure 1 shows the SiO(3–2) intensity map over the central 6"×6" region. Data are included across a 500 km s^{-1} spectral window centred around the SiO transition. We see strong emission to the East of the AGN, with weaker detections to the south and West. In agreement with SiO(2–1) (García-Burillo et al. 2010), little emission is seen around the AGN itself. Table 1 shows the coordinates of the peak emission at both frequency ranges.

We see that the peak SiO(3–2) emission matches well with the molecular gas traced by CO(3–2) in the East Knot (see Table 1) but it is slightly offset in the West Knot. It should be noted that since emission here is weak and extended and the beam size is 1", this offset may not be meaningful. We do not see any noticeable emission outside of the circum-nuclear region about the AGN. The starburst ring is not detected in SiO(3–2).

We also present SiO maps for different velocity bandwidths widths of 100 km s^{-1}, centred around v – v_0 = 0 km s^{-1} (Figure 2). Examining these plots, it is clear that the majority of SiO emission in the East Knot is coming from the central 100 km s^{-1}, with minor contributions from >50 km s^{-1} and <50 km s^{-1}. However, in the West Knot, the majority of SiO emission is from velocities >50 km s^{-1}. It should be noted, however, that emission here is quite weak. This is further analysed in section 4.

3.2. HNCO

Figure 3 shows the HNCO(6–5) map over the same region as the SiO(3–2) map, and integrated across the same spectral window. The strongest emission is seen in the West Knot, but is also clear in the East Knot. There is little to the north or south of the AGN. Nothing is seen around the AGN itself. When compared to both the SiO and CO peaks, it is clear that the HNCO emission is offset in both regions. It is significantly south (~1") and slightly West of the other peaks. We show this in Figure 4 where we overlap the two sets of data.
Table 1: Locations of peak emission for each line, with offset from CO(3 − 2) emission

| Line       | Position | RA          | Dec          | ∆RA, ∆Dec ('') | Location |
|------------|----------|-------------|--------------|----------------|----------|
| SiO(3 − 2) | East Knot| 02:42:40.771| -00:00:47.98 | 0, 0.1        | East Knot 1 |
| HNCO(6 − 5)| East Knot| 02:42:40.763| -00:00:48.60 | -0.1, -0.8    | East Knot 2 |
| CO(3 − 2)  | East Knot| 02:42:40.771| -00:00:47.84 | 0, 0          | -         |
| SiO(3 − 2) | West Knot| 02:42:40.608| -00:00:48.43 | -0.3, -0.6    | West Knot 2 |
| HNCO(6 − 5)| West Knot| 02:42:40.590| -00:00:48.77 | -0.6, -0.9    | West Knot 2 |
| CO(3 − 2)  | West Knot| 02:42:40.630| -00:00:47.84 | 0, 0          | -         |

Fig. 1: SiO(3 − 2) map over the central 6″ × 6″ region. Contours are from 3σ in increments of 1σ where σ ∼ 0.08 Jy km/s/beam. The black crosses indicate the approximate position of the CO(3 − 2) peak. The beam size is displayed in the bottom left.

Although we do not split HNCO(6 − 5) emission into bands due to its weaker emission compared to that SiO(3 − 2), we analyse HNCO spectra in section 4.

4. Spectral analysis

We extract spectra from four regions of the CND. These are the SiO peak in the East Knot and West Knot, and the HNCO peak in the East Knot and West Knot. We extract a spectrum from both species in these regions, giving us eight spectra in total. We also overlay the CO(2 − 1) line (its peak scaled to the HNCO(6 − 5) peak), from PdBI observations, degraded to the same resolution as the SiO(3 − 2) line. We do this to confirm that the HNCO(6 − 5) emission we see, in particular in West Knot 2, is real. In this location, although the profiles are different, we see contiguous emission from 200 km s$^{-1}$ down to -200 km s$^{-1}$ in CO(2 − 1). The wings of the CO(2 − 1) line are at detection confidence level of 4σ. We also see a clear detection of CO(3 − 2) (not shown) at high velocities in West Knot 2, from ALMA observations. This is not to suggest that CO is tracing only shocked gas: CO is present in the shocked region as well as in the other components of the molecular gas. We use CO only as a guide to see the allowed velocities for SiO and HNCO. As further reassurance our detection of HNCO in the West Knot is real, there are no other detectable transitions of other species near the HNCO(6 − 5) band frequency.

The four locations are displayed in Figure 4 and Figure 5. In the Figure, the radial velocity is assumed to equal the offset from the galaxy’s recession velocity. We see in East Knot 1, the point of peak SiO emission in the East Knot, a strong SiO line centred around -12 ± 4 km s$^{-1}$, compared to v$_{sys}$, where there is also evidence of a double peak. In the same location, HNCO displays a similar feature, but is much weaker. It is centred around -6 ± 15 km s$^{-1}$, compared to v$_{sys}$. Moving to East Knot 2, the Eastern peak of HNCO, we see a notably weaker detection of SiO. Both are centred around ~ 30 km s$^{-1}$, compared to v$_{sys}$. In the
position West Knot 1, we see only a marginal increase in SiO signal above the baseline noise, despite this being the peak signal for SiO in the West. We also see weak emission for HNCO in this location. At the HNCO peak, West Knot 2, the SiO spectrum displays the same characteristics as in West Knot 1. This is not surprising judging from Figure 1, which shows a diffuse SiO peak. The HNCO peak is weak, but very broad if one assumes a single peak, with a linewidth of $399 \pm 57 \text{ km s}^{-1}$.

We compare the line intensities ratios for each location (in $T_{mb}$ units). The intensities and ratios are shown in Table 2. In the East, locations 1 and 2, SiO dominates by a factor of 3. In the West, West Knot 1, HNCO is a factor of 1.8 stronger, and twice that in West Knot 2. As a first approximation, the HNCO / SiO ratio may be considered a measure of the shock strength, since it takes a stronger shock event to increase the SiO abundance. This indicates that if we take the velocity integrated line intensity ratios, shocks in the East Knot are significantly stronger than those in the West Knot. The average ratio in the East Knot is $\text{HNCO(6−5) / SiO(3−2)} = 0.35 \pm 0.13$ and in the West Knot, $\text{HNCO(6−5) / SiO(3−2)} = 2.5 \pm 1.3$. In addition, the shock strength might be considered to be relatively constant to the East, but due to the disparity in ratio in the two locations in the West Knot, shock velocities may differ on comparatively small scale.

In addition, using SiO(2−1) data from García-Burillo et al. (2010), we produce a SiO(3−2)/SiO(2−1) ratio map. To do this the resolution of the SiO(3−2) observations is degraded to match the lower transition. The map is displayed in Figure 6. There is a clear gradient from East to West. In the East the ratio is $\sim 1.2$ but this drops to $\sim 0.5$ in the West. This compares well with previous observations in García-Burillo et al. (2014) and Viti et al. (2014), who find a comparatively higher excitation of other molecular lines in the East Knot compared with the West Knot.

Our velocity integrated line intensity ratio (in $T_{mb}$ units) $\text{HNCO(6−5) / SiO(3−2)}$ values in the East Knot are comparable to the inner disk of NGC 253, which were calculated using the slightly lower J transitions, $\text{HNCO(5−4) / SiO(2−1)}$ (Meier et al. 2015). The NGC 253 compact ($r \approx 170$ pc) region has a large quantity of dense gas and an increased rate of star formation. The values are also comparable to M82 (Martín et al. 2009b). The outer disk of NGC 253 shows similar ratios to that of the West Knot. The outer disk is suggested to be a region where gas is flowing radially inwards (García-Burillo et al. 2000), in contrast to the outflowing gas in NGC 1068. They also match well with the shocked Giant Molecular Clouds (GMCs) in the nearby spiral barred galaxy Maffei 2 (Meier & Turner 2012).

We note that we cannot however simply correlate the shock strength with the HNCO/SiO ratio, especially as several gas phase reactions may contribute to the formation and destruction of both molecules. For example, HNCO is readily photodissociated at a rate $\sim 30$ times faster than SiO (Sternberg & Dalgarno 1995). If in the presence of significant UV radiation, HNCO abundance will be significantly lowered compared to SiO. We would therefore see weaker emission and our ratios would be decreased by this effect.
Fig. 3: HNCO(6 − 5) map over the central 6′′× 6′′ region. Contours are from 3σ in increments of 1σ where σ ∼0.1 Jy km/s/beam. The black crosses indicate the approximate position of the CO(3 − 2) peak. The beam size is displayed in the bottom left (1′′.1 × 0′′.7, PA=23°).

Table 2: Velocity integrated intensities (K km s−1) and ratios

| Location | HNCO(6 − 5) | SiO(3 − 2) | HNCO(6 − 5) / SiO(3 − 2) |
|----------|-------------|------------|----------------------------|
| EK-1     | 20 ± 8      | 63 ± 4     | 0.31 ± 0.13                |
| EK-2     | 22 ± 7      | 56 ± 5     | 0.39 ± 0.12                |
| WK-1     | 41 ± 7      | 22 ± 4     | 1.8 ± 0.46                 |
| WK-2     | 60 ± 8      | 17 ± 5     | 3.5 ± 1.2                  |

5. Analysis

In this section we attempt to quantify the differences we observe between SiO (3 − 2) and HNCO (6 − 5) emission by position in the CND. There is strong SiO (3 − 2) emission in the East Knot, peaking at East Knot 1, whereas HNCO (6 − 5) emission is relatively weak in the same region. Conversely, we see that SiO (3 − 2) and HNCO (6 − 5) emission is more equal in the West Knot, and HNCO (6 − 5) emission is stronger than SiO (3 − 2) in West Knot 2. In order to explain these differences, we complete a three-phase analysis: a basic LTE analysis, a further radiative transfer modelling using RADEX, and a chemical modelling using UCL CHEM (Viti et al. 2004; Viti et al. 2011), along the lines of the procedure set in Viti et al. (2014).

5.1. LTE

Here we calculate column densities, $N$, of SiO and HNCO, assuming local thermodynamic equilibrium (LTE) and optically thin emission. For that we use equation 1.

$$N_{mol} = 1.67 \times 10^{14} \frac{Q(T_{rot})}{\mu^2 v s} \exp \left( \frac{E_u}{kT_{rot}} \right) \int T_{MB} dv$$  (1)

Where $Q(T_{rot})$ is the partition function, $\mu$ is the dipole moment in Debye, $S$ is the line strength, $E_u$ is the upper energy level, $T_{rot}$ is the rotational temperature of the molecule. The units of the integral are K km s−1; we therefore convert our data from Jy/beam to $T_{MB}$. Viti et al. (2014) find that the gas must have a kinetic temperature of at least ∼50 K. We therefore use this temperature as our first $T_{rot}$ in order to get the values of $N$(SiO) and $N$(HNCO) for each location. It is possible the average temperature of the gas is >50 K, especially if the gas is shocked. To account for this, we also calculate column densities for 100 K and 200 K. These temperatures also correlate with the findings of Viti et al. (2014). The calculated column densities are displayed in Table 3. HNCO (6 − 5) is a band of several blended lines in our observations. To calculate a column density, we use average values from the strongest band, HNCO($K_p, K_o$)=(0,6)-(0,5). It is possible that the
The locations identified for further analysis are labelled. Contours are from $3\sigma$ in increments of $1\sigma$ where $\sigma \sim 0.1$ Jy km/s/beam. The black crosses indicate the approximate position of the CO(3 − 2) peak.

The gas density may be below the critical density of the transitions. However, since there may be shocks present, the density of the gas traced by these molecules may be much higher than the gas surrounding it. The critical densities, $n_{cr}$, of SiO(3 − 2) and the strongest band of HNCO(6 − 5) are in the order of $10^6$ cm$^{-3}$. Since the gas may not be thermalised, our LTE column density values should be used with caution.

Table 3: LTE column densities in each location

| Location | $N$(SiO) (cm$^{-2}$) | $N$(HNCO) (cm$^{-2}$) |
|----------|---------------------|----------------------|
| T = 50 K |                     |                      |
| EK-1     | $2.4 \times 10^{14}$ | $3.2 \times 10^{14}$ |
| EK-2     | $1.5 \times 10^{14}$ | $6.8 \times 10^{14}$ |
| WK-1     | $6.2 \times 10^{13}$ | $8.4 \times 10^{14}$ |
| WK-2     | $4.9 \times 10^{13}$ | $1.3 \times 10^{15}$ |
| T = 100 K|                     |                      |
| EK-1     | $4.3 \times 10^{14}$ | $7.2 \times 10^{14}$ |
| EK-2     | $2.6 \times 10^{14}$ | $1.5 \times 10^{15}$ |
| WK-1     | $1.1 \times 10^{14}$ | $1.9 \times 10^{15}$ |
| WK-2     | $8.6 \times 10^{13}$ | $2.9 \times 10^{15}$ |
| T = 200 K|                     |                      |
| EK-1     | $8.0 \times 10^{14}$ | $2.0 \times 10^{15}$ |
| EK-2     | $4.8 \times 10^{14}$ | $4.2 \times 10^{15}$ |
| WK-1     | $2.1 \times 10^{14}$ | $5.2 \times 10^{15}$ |
| WK-2     | $1.6 \times 10^{14}$ | $7.8 \times 10^{15}$ |

Comparing the column densities from Table 3, we notice that, in East Knot 1, where SiO emission peaks, column densities for SiO and HNCO are quite similar, but $N$(HNCO) is greater than $N$(SiO) at all temperatures. In East Knot 2, the peak of HNCO emission in the East Knot, $N$(HNCO) is half an order of magnitude higher than
Fig. 6: Colours: Velocity integrated intensity ratio of SiO(3−2)/SiO(2−1) at the resolution of the SiO(2−1) line (3′′.6 × 2′′.1, PA=29°). Contours: SiO(3−2) at original resolution (1″.1 × 0″.7, PA=23°).

$N(\text{SiO})$. In the West Knot, $N(\text{HNCO})$ is between 1-2 orders of magnitude greater than $N(\text{SiO})$. This is assuming that SiO and HNCO emission is coming from the same gas component. However, under the assumption that SiO traces a fast shock and HNCO traces slower shocks, the gas emitting in SiO may well be warmer. We find that, if one assumes the gas emitting SiO and HNCO has the same temperature, then East Knot 2, and West Knot 1&2, still show that HNCO column density is higher than that of SiO. In East Knot 1, if the temperature of the SiO emitting gas is 100 K, and the HNCO emitting gas is 50 K, $N(\text{SiO})$ is greater than $N(\text{HNCO})$. If $N(\text{SiO})$ is then calculated assuming the temperature is 200 K, it becomes greater than $N(\text{HNCO})$ by a factor of $\sim 2.5$.

5.2. RADEX

In order to further characterize the emitting gas in SiO and HNCO, we run a RADEX (van der Tak et al. 2007) analysis. Since we only have one transition for each molecule, we also take the SiO(2−1) line from García-Burillo et al. (2010) and the HNCO(5−4) line from Takano et al. (2014). We complete a separate analysis for each location, using the brightness temperature of the four observed lines, therefore assuming a common filling factor. Our grid of models are run varying hydrogen number density from $10^{4}$ cm$^{-3}$ to $10^{8}$ cm$^{-3}$ and temperature from 10 K to 300 K. We use an initial input of column density based on our LTE calculations at 50 K. We then vary the column density by up to an order of magnitude. For the purpose of our analysis, we divide our model grid in subsets where we consider a set of models as models with a constant column density. This results in sets containing over 15,000 models. RADEX requires an input value for column density over line width ($N\text{mol}/\Delta V$). We measure the line width by fitting a Gaussian to each line. The mean value of the line width is $\sim 150$ km s$^{-1}$. This is the value we use for all our RADEX models. We vary this value by a factor of 2 as a check of its influence on our results. A smaller or larger line width has a marginal effect on our best fit parameters, but not enough to alter our conclusions.

We calculate a reduced $\chi^2$ for each model compared to observations in each of our four locations. The reduced $\chi^2$ equation used is the same as in Viti et al. (2014), although here we compare observed and modelled brightness temperature, not ratios:

$$\chi^2_{\text{red}} = \frac{1}{K} \sum_{n=1}^{K} \frac{(\log(T_o) - \log(T_m))^2}{\sigma^2}$$  \hspace{1cm} (2)

Where K is defined as $N - n$, where $N$ is the number of observed lines and $n$ is the number of varied parameters. In this case, $N = 4$ and $n = 2$. $T_o$ and $T_m$ are observed and modelled brightness temperature respectively, and $\sigma$ is the uncertainty on the observed brightness temperature. We estimate $\sigma$ to be 20% for all our observations based on the systematic uncertainty from calibration. Our results are displayed in Figure 7. We find that the lowest median $\chi^2$ values are for models within the set ran with our initial LTE column density over line width ($N\text{mol}/\Delta V$) (Van der Tak et al. 2007). We vary the column density by up to an order of magnitude. For the purpose of our analysis, we divide our model grid in subsets where we consider a set of models as models with a constant column density. This results in sets containing over 15,000 models. RADEX requires an input value for column density over line width ($N\text{mol}/\Delta V$). We measure the line width by fitting a Gaussian to each line. The mean value of the line width is $\sim 150$ km s$^{-1}$. This is the value we use for all our RADEX models. We vary this value by a factor of 2 as a check of its influence on our results. A smaller or larger line width has a marginal effect on our best fit parameters, but not enough to alter our conclusions.

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$$\chi^2_{\text{red}} = \frac{1}{K} \sum_{n=1}^{K} \frac{(\log(T_o) - \log(T_m))^2}{\sigma^2}$$  \hspace{1cm} (2)

Where K is defined as $N - n$, where $N$ is the number of observed lines and $n$ is the number of varied parameters. In this case, $N = 4$ and $n = 2$. $T_o$ and $T_m$ are observed and modelled brightness temperature respectively, and $\sigma$ is the uncertainty on the observed brightness temperature. We estimate $\sigma$ to be 20% for all our observations based on the systematic uncertainty from calibration. Our results are displayed in Figure 7. We find that the lowest median $\chi^2$ values are for models within the set ran with our initial LTE column density over line width ($N\text{mol}/\Delta V$) (Van der Tak et al. 2007). We vary the column density by up to an order of magnitude. For the purpose of our analysis, we divide our model grid in subsets where we consider a set of models as models with a constant column density. This results in sets containing over 15,000 models. RADEX requires an input value for column density over line width ($N\text{mol}/\Delta V$). We measure the line width by fitting a Gaussian to each line. The mean value of the line width is $\sim 150$ km s$^{-1}$. This is the value we use for all our RADEX models. We vary this value by a factor of 2 as a check of its influence on our results. A smaller or larger line width has a marginal effect on our best fit parameters, but not enough to alter our conclusions.

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While we were not able to find a convincing solution for West Knot 1, two main results for the remaining Locations emerged: (i) the density of the gas is at least $10^{4}$ cm$^{-3}$, with East Knot 1 having the highest density and East Knot 2 and West Knot 2 having a similar density (consistent with all previous work on dense gas from Krips et al. 2011 and Viti et al. 2014); (ii) the temperature of the gas is generally well constrained. This may be due to the upper energy levels of our transitions being significantly lower than the actual temperature of the gas. However, Viti et al. (2014), using mostly transitions with upper energy levels similar to that of HNCO(6−5), conclude that the temperature of the gas in the West Knot may be as high as 200 K. For HNCO(6−5), $E_u \approx 65$ K. Alternatively, it also may be an indication that the gas component(s) where SiO and
5.3. Chemical modelling

Following the methodology of Viti et al. (2014) we now adopt a chemical model in order to determine the origin of the emission in HNCO and SiO as well as shed light on the temperature of the gas. In particular, we investigate the shock chemistry that may give rise to the SiO and HNCO emissions in the next Section.

We note that our RADEX modelling findings are very similar to what has been found previously in Viti et al. (2014). However we are much more limited by the number of transitions we have. We should also consider that there could be an uncertainty in our best fit parameters as high as a factor of 10 or more (Tunnard & Greve 2016).

We use a grid of models, listed in Tables 4 and 5. For both shock and non shock models, the grain mantle, where both HNCO and Si are present, is sublimated; in addition in the shock models the nuclei of the dust grains may be sputtered, depending on the shock velocity.

HNCO emission originates from are not at a constant temperature. This is not surprising since the emission may be coming from a shocked region, where temperatures vary swiftly with time and space (and the cooling rate is proportional to the square of the density). We investigate the shock chemistry which may give rise to the SiO and HNCO emissions in the next Section.

We run a grid of models, listed in Tables 4 and 5. Garcia-Burillo et al. (2014) find that the outflow in NGC 1068 has velocities up to 100 km s$^{-1}$, but which vary strongly over the regions observed. The area is large and therefore better fit than lighter regions.
we are not just observing a single shocked area. As a repre-
sentative fast shock, we take a value of 60 km s\(^{-1}\) for
our models. At this velocity, some grain sputtering occurs;
the percentage of Si from the grains that gets sputtered is
debated; we use the results from the modelling of Jiménez-
Serra et al. (2008), see Figure 6, for the purpose of this
study and we shall therefore assume that 10% of the Si
locked in the dust grains will sputter. At these velocities,
all the mantle is sputtered.

We also investigate the possibility that there are some
much weaker shock events occurring, and take a value of
20 km s\(^{-1}\). At this velocity, sputtering from grain nuclei
is negligible but mantles should return to the gas-phase
quite efficiently (Gasdorf et al. 2008). In addition, we run
non-shock models, as a check to see if we could produce
observable quantities of both species without the need for
shock chemistry. Note that the non shock models are still
run at a temperature (ypical of regions where stars have
formed) that lead to mantle sublimation. Most silicon is
locked up in grain nuclei and silicon is therefore significantly
depleted from solar values. As much as 99.96% of silicon
may be depleted into dust grain cores (Jiménez-Serra et al.
2008; Snow & Witt 1996; Anders & Grevesse 1999). This
value has some uncertainty so we adopt three values for our
initial abundance of Si of X(Si) = 1%, 0.1% and 0.01% of
the solar value. We hold the value of the UV radiation field
at the standard interstellar value. The high extinction in
the dense gas we model, even pre-shock, would shield the
gas so that an increase in UV would have little effect (Viti
et al. 2014).

Krips et al. (2011) as well as Viti et al. (2014) find that
the gas in the regions we are observing has a density, n(H\(_2\)) \(\geq 10^3\) cm\(^{-3}\) (also confirmed by our RADEX analysis) and
that the average gas temperature between 60 and \(\sim 200\) K.
We choose to run our shock models with a pre-shock density
of \(10^{-3}-10^5\) cm\(^{-3}\) (leading to a post-shock density of \(\geq 10^3\)
\(\) cm\(^{-3}\)). At \(10^3\) cm\(^{-3}\) the gas and the dust is not coupled.
Therefore the temperature of the dust will be lower than the
gas temperature, and at this density the dust grain man-
tles are not sublimated until the shock occurs and tempera-
ure and density increase. At higher densities, we assume
coupling between gas and dust and hence the mantles are
already sublimated before the shock occurs. Our non shock
models are completed using density \(10^4-10^5\) cm\(^{-3}\).

In Figure 8 we show the fractional abundance (with
respect to the total number of hydrogen nuclei) of Si, SiO
and HNCO for our fast shock models. The main difference
between the models with a very low pre-shock density and
the higher densities ones is that for the former there is no
mantle sublimation until the shock arrives, while in the lat-
ter the mantle thermally sublimates; this leads to a slightly
different behaviour for HNCO which always undergoes an
enhancement during the shock passage: however for higher
pre-shock densities it also seems to decrease again once the

![Fig. 8: Chemical shock modelling showing Si, SiO and HNCO. These are fast (60 km/s) shock models. Bottom: models 1-3. Middle: models 4-6. Top: models 7-9. The black line shows temperature variation.](image-url)
Fig. 9: Chemical shock modelling showing Si, SiO and HNCO. These are slow (20 km/s) shock models. Bottom: models 10-12. Middle: models 13-15. Top: models 16-18. The black line shows temperature variation.

In Figure 9, we show our weak shock chemical models. For the weak shock models the main difference, due to the different densities used, is on whether the gas and dust are coupled: in the latter case sublimation of the icy mantles occurs before the shock arrives, as in the case of the fast shock models, while for the low density models the icy mantles are released back to the gas phase only when they get sputtered by the passage of the shock. However, because the density is very low (10^3 cm^{-3}) hardly any freeze out takes place in Phase 1. Sputtering of the grain cores does not occur. In both low and high density models we find that following the shock the HNCO abundance increases by up to 3 orders of magnitude. The increase is not so pronounced for the SiO abundance. In this case the amount of Si depleted to the dust is important in determining the final SiO abundance, as the weaker shock does not sputter the grain core.

In Figure 10, we show our chemical models without any shocks. We see here a very small rise in SiO over time. HNCO increases significantly at late times. These models were run at a density always equal or higher than 10^4 cm^{-3}; hence the gas and dust are assumed to be coupled and mantle sublimation therefore always occurs. The initial elemental Si depletion is important in determining final SiO abundance, as nothing returns to the gas phase from the dust grain cores. We can calculate a fractional abundance from the column densities we calculated from our RADEX modelling to compare to our chemical models. This is subject to two important limitations. Firstly, we must assume a CO/H_2 fraction. We take the canonical value of 10^{-4}, which also matches well with what we find in our models. In addition, the chemical modelling only gives fractional abundances at single points in time and space. Our observations encompass a very large region, which will include a large gradient of abundances. So while the chemical modelling is very useful for seeing trends in production or destruction of different molecules, it is difficult to quantitatively and directly compare to observations. Nevertheless, we calculate the fractional abundance X(SiO) \approx 10^{-8} and X(HNCO) \approx 10^{-9} in the East Knot locations. The column density estimates in the West Knot are very broad but give X(SiO), X(HNCO) \approx 10^{-11} to 10^{-8}. The values found in the mod-
els can best be described as an upper limit given that our observations cover an area greater than a single shocked region. In the fast shocked models, X(SiO) peaks at \( \sim 10^{-6} \); this value is one order of magnitude higher than observed in the CND of NGC 1068. X(HNCO) peaks at \( \sim 10^{-9} \), which is close to the observed value for the fractional abundance of HNCO. As this is an upper limit, it seems unlikely that the HNCO we observe is being produced significantly in fast shocks. In the weak shock and no shock models, we see the opposite. X(HNCO) peaks at \( \sim 10^{-7} \) but X(SiO) only reaches \( \sim 10^{-8} \). This indicates that fast shocks are likely to be producing SiO, whereas weak shocks, or warm, dense gas is likely responsible for the HNCO we observe.

To further this analysis, we quantify the difference that the passage of a shock makes by comparing a fast shock model with a non shock model ran at the same density (e.g. Model 7 and 22): we find that HNCO is in fact much more enhanced in the non shock models implying that although a fraction does come from the mantles (which evaporate in both cases, at least for the high density models) the bulk of its increase happens in the warm gas phase after the ices sublimate. However, surprisingly, this increase does not occur in the shock models where the temperature is even higher. The main route to formation in the gas phase for HNCO is Reaction \( \text{3} \):

\[
\text{CH}_2 + \text{NO} \rightarrow \text{HNCO} + \text{H}
\]  

During the fast shock, NO is very rapidly destroyed through reaction with atomic hydrogen (Reaction \( \text{4} \), which is enhanced.

\[
\text{H} + \text{NO} \rightarrow \text{OH} + \text{N}
\]  

This can be seen clearly in Figure \( \text{11} \) Reaction \( \text{4} \) only proceeds at very high temperatures and does not occur at all during the slow shock or without a shock. This is confirmed by the fact that in a slow shock model HNCO does in fact increase at late times as much as in a non shocked model. SiO on the other hand clearly needs a fast shock to be enhanced and the level of enhancement will depend on the initial elemental depletion. Clearly there are too many parameters that play a role for us to be able to quantitatively fit the HNCO and SiO observed in the four different locations; nevertheless we do have an explanation for the anti-correlation of these two species: a high SiO and a low HNCO seem to indicate the presence of a fast shock while a low SiO and a high HNCO imply either a very slow shock or a warm dense non shocked gas.

| Model number | \( n(H_2) \) (cm\(^{-3}\)) | \( V_s \) (km s\(^{-1}\)) | \( T_{\text{max}} \) (K) | \( t_{\text{sat}} \) (yr) | Si Depletion |
|--------------|-----------------|-------------------|------------------|----------------|----------------|
| 1            | \( 10^5 \)       | 60                | 4000             | 380            | 1% Solar       |
| 2            | \( 10^5 \)       | 60                | 4000             | 380            | 0.1% Solar     |
| 3            | \( 10^4 \)       | 60                | 4000             | 380            | 0.01% Solar    |
| 4            | \( 10^4 \)       | 60                | 4000             | 380            | 1% Solar       |
| 5            | \( 10^4 \)       | 60                | 4000             | 380            | 0.1% Solar     |
| 6            | \( 10^5 \)       | 60                | 4000             | 380            | 0.01% Solar    |
| 7            | \( 10^6 \)       | 60                | 4000             | 380            | 1% Solar       |
| 8            | \( 10^6 \)       | 60                | 4000             | 380            | 0.1% Solar     |
| 9            | \( 10^5 \)       | 60                | 4000             | 380            | 0.01% Solar    |
| 10           | \( 10^4 \)       | 20                | 900              | 570            | 1% Solar       |
| 11           | \( 10^4 \)       | 20                | 900              | 570            | 0.1% Solar     |
| 12           | \( 10^4 \)       | 20                | 900              | 570            | 0.01% Solar    |
| 13           | \( 10^4 \)       | 20                | 900              | 570            | 1% Solar       |
| 14           | \( 10^4 \)       | 20                | 900              | 570            | 0.1% Solar     |
| 15           | \( 10^4 \)       | 20                | 900              | 570            | 0.01% Solar    |
| 16           | \( 10^5 \)       | 20                | 900              | 570            | 1% Solar       |
| 17           | \( 10^5 \)       | 20                | 900              | 570            | 0.1% Solar     |
| 18           | \( 10^5 \)       | 20                | 900              | 570            | 0.01% Solar    |

6. Conclusions

We have used the Plateau de Bure Interferometer to map two shock tracers, SiO and HNCO. SiO(3 – 2) is detected...
Table 5: Chemical non-shock model input parameters

| Model number | n(H2) (cm⁻³) | Si Depletion |
|--------------|--------------|--------------|
| 19           | 10³          | 1% Solar     |
| 20           | 10⁴          | 0.1% Solar   |
| 21           | 10⁴          | 0.01% Solar  |
| 22           | 10⁵          | 1% Solar     |
| 23           | 10⁵          | 0.1% Solar   |
| 24           | 10⁵          | 0.01% Solar  |

Fig. 11: Chemical shock modelling showing H, NO, and HNCO. This is fast (60 km/s) shock model 7. The rapid decrease in NO is due to reaction with H. HNCO requires NO to form and therefore does not increase in abundance after the shock, in contrast to what is found in both slow (20 km/s) and non shocked models.

strongly to the East of the AGN and to some extent to the West. HNCO(6 – 5) is detected more strongly to the West, but is also detected in the East. The emission of the two lines is slightly offset from one another. We extracted spectra to analyse from the four peak emission locations of both lines. This allowed us to complete a RADEX radiative transfer modelling using our observations and SiO(2 – 1) and HNCO(5 – 4) from literature. We used parameters for the East and West Knot obtained by [Viti et al., 2014] through a modelling of HCN, CS, CO and HCO⁺. We found that, in general over the four locations, it was very hard to constrain a temperature. This may indicate that the gas as traced by HNCO and SiO is not at a constant temperature, consistent with a shocked region’s varying temperature. Although this could also be due to the gas being of higher temperature than the upper energy levels of our transitions.

In order to further investigate the origin of the SiO and HNCO emission we completed chemical modelling. We modelled a representative fast shock (60 km s⁻¹), slow shock (20 km s⁻¹) and no shock. We found that SiO is significantly enhanced during the fast shocks, due to grain core sputtering of Si. It was slightly enhanced during the slow shock and was also produced to some extent in the no shock models. We found that HNCO actually decreased in the fast shock models due to the destruction of its precursor, NO. This occurs through reaction with atomic hydrogen and only proceeds at the very high temperatures found during the fast shock. To confirm this, during the slow shock, HNCO abundance significantly increases. HNCO also increased in abundance without need for a shock, in warm dense gas. This leads us to conclude that a high SiO but low HNCO abundance are indicative of a fast shock, whereas a low SiO and high HNCO abundance may indicate the presence of a slow shock, or of warm dense non shocked gas. Observations of the East Knot seem to therefore suggest gas in the region is heavily shocked. The offset of the HNCO peak to the SiO peak suggests that there may be regions in the East Knot away from the main shock that are undergoing a milder shock (particularly around our East Knot 2). The weak SiO emission and stronger HNCO emission in the West Knot suggests that there are not fast shocks occurring. There may be slower shocks, or the gas may be warm, dense and non-shocked. The results of our RADEX analysis, where we struggle to constrain temperature in the West Knot, point to the milder shocks as the more likely solution.

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