Research Article

Compression Load Tests on Composite Foundations of Spread Footing Anchored by Helical Anchors

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This study elucidates the compression behavior of a type of composite foundation of spread footing anchored by helical anchors. Three composite foundations were installed at a field site, and compression load testing was carried out on each foundation. Both the site conditions and the load tests were documented comprehensively. The compression load-settlement curves of composite foundations exhibit an initial linear-elastic segment, a curve transition, and a final linear region, and their capacities should be interpreted from the load-settlement curves. Five representative interpretation criteria (Chin, Terzaghi and Peck, slope tangent, tangent intersection, and L1–L2) were employed to determine the capacity of each foundation. Both the helical anchors and the footings share compression loadings on the composite foundation. Soil pressure cells at the center, near the edge, and at the corner of the footing represent a distribution from the lower, middle, and higher ranges of incremental soil pressures underneath the footing. Helical anchors underneath the footing approximately share 60%–80% of total load applied on the composite foundation pier, and higher compression resistance of a composite foundation can be obtained by increasing the footing embedment depth and the number of helical anchors underneath the footing.

1. Introduction

Spread footings have been widely designed to meet some unique soil conditions of geology and terrain such as in swampy grounds, flood plains, tropical areas, and thick residual deposits with reduced bearing capacities [1, 2]. Numerous investigations on the compression behavior of spread footings have been conducted based on theoretical and experimental analyses [3, 4]. As found in many practical applications, spread foundations are economical than piles under certain circumstances [5]. However, the solution for foundation designs using spread footings directly on the soil with reduced bearing capacity may result in low admissible pressure associated with remarkable settlement [6], and the employing of piles may lead to an excessive increase in cost. An alternative for such instance is therefore the proposal recommended in this study by designing a type of composite foundation as shown in Figure 1, in which helical anchors are installed in the lower layer of soil and a spread footing at the top layer of soil will then be connected with these helical anchors. The helical anchors in such composite foundation can obtain instant load-carrying capacities upon installation and can be constructed through groundwater without casing, unaffected by caving soils.

Helical anchors have been recognized as a practical alternative to traditional pile foundations in construction industry because of their ease of installation and cost-effectiveness [7]. Experimental research findings have indicated that the performance of helical anchors under compressive and tensile loadings is similar, and the anchor plates can increase the anchor load-carrying capacity obviously, as does the underream in a underreamed cast-in-place pile [8]. Several design methods have been suggested to predict the helical pile load-carrying capacity under
compressive and tensile loads based on the individual plate anchor theories [9–14], whereas some methods are similar to those recommended for underreamed cast-in-place pile foundations [13, 15–17].

However, the composite foundation in Figure 1 makes the helical anchor-soil-footing interaction more complicated, and very insufficient experimental research findings are available for the justification of its design. This study has three objectives: (1) to examine the compression load-settlement behavior of the composite foundation as depicted in Figure 1; (2) to obtain the distribution of incremental soil pressures underneath the spread footing; and (3) to investigate the load-transfer mechanism when compression loads are applied to such composite foundation.

2. Test Site Conditions

The field test site is selected at Liaoyang City, Liaoning Province, China. From ground level to the foundation embedment depth in this study, the soil profile consists of a topsoil, silty clay, and sandy silt, categorized according to Chinese National Standard GB50007 [15]. Table 1 lists the detailed soil profile and properties at the testing site. Groundwater was not observed at the time that the test foundations were installed and tested.

As listed in Table 1, soil profile at the site comprises a surficial fill layer of sand and gravel mixed with some organics, which extends to about 1.0 m with SPT number ranging from 6 to 7 and moisture content ranging from 19% to 25%. Underlying this surficial layer is the soft plastic to plastic silty clay that extends to depths between 8.6 m and 8.8 m below ground surface with SPT number ranging from 9 to 23. Moisture content of this silty clay layer varies from 20% to 27%, with an average of 25.9%. Further down is a sandy clay with a thickness about 10 m with SPT number ranging from 33 to 48.

To investigate the on-site soil properties, a plate static loading test was carried out with a concrete plate (0.8 m in diameter and 0.55 m in height) on the silty clay at the depth of 1.5 m after topsoil was removed. Figure 2 demonstrates the load-settlement response from the plate loading test. There is no peak load and asymptote value on the curve, and therefore, the maximum bearing capacity is difficult to determine from the test. There are two failure criteria generally recommended in China [18, 19]: (a) the load is held for 24 h but with the rate of increment settlement still exceeding 0.10 mm/h; and (b) the total settlement is greater than 10% of the diameter of the plate. The lesser of the loads corresponding to above two criteria is then defined as the failure load. The first criterion controlled the failure in this
As listed in Figure 3, the study, and the determined bearing capacity was 175 kPa with a settlement about 6% of the plate diameter.

### 3. Foundation Installation

Three composite foundations as shown in Figure 3, numbered from CF1 to CF3, were constructed and tested under compression load at the aforementioned site. As shown in Figure 3, all footings of the composite foundations in this study have two stepped mats, with upper mat having dimensions of length/width/thickness = 1.5 m/1.5 m/0.3 m compared to 2.1 m/2.1 m/0.3 m for the lower. The piers of the three footings have an identical cross section of 0.6 m by 0.6 m. The helical anchors were manufactured from a single cylindrical steel shaft with three welded helices, which served as triple-helix piles in a composite foundation. The central cylindrical shafts were manufactured of steel pipes of 108 mm outer diameter and 10 mm wall thickness. All helices had a dimension of 0.5 m diameter, 0.01 m thickness, and 0.25 m pitch, and they were welded at intervals of center-to-center spacing of 1.2 m along the steel shaft.

As listed in Figure 3, three field compression load tests were conducted on: (i) CF1, the footing with embedment depth of 1.5 m anchored by a four-helical-anchor group in square arrangement with spacing \( s_p = 2.2D \), where \( D \) is the helix diameter, and \( D = 0.5 \) m in this study and \( L = 4.85 \) m (where \( L \) is the central steel shaft length); (ii) CF2, the spread footing with embedment depth of 2.0 m anchored by a four-helical-anchor group with \( s_p = 2.2 \) D and \( L = 4.85 \) m; and (iii) CF3, the footing with embedment depth of 2.0 m anchored by a five-helical-anchor group, with four 4.85 m long helical anchors being placed in square arrangement at the four corners with \( s_p = 2.2D \) and with a 3.85 m long helical anchor being placed at the core of the footing.

The construction of the composite foundations in Figure 3 was performed by three procedures. The first procedure was to excavate native topsoil to the designed footing embedment depth. Then, the second procedure was to install helical anchors in the excavated pit by screwing them into soil by trained operators with a special torque wrench equipment which had a safety link to prevent overtorquing of the anchors and to avoid damage to the anchors and loss of soil. The helixes advanced steadily at a rate of the pitch. Finally, the last procedure was to cast reinforced concrete pad and pier for footings, including the main progresses of binding steel bars, supporting wall framework, pouring concrete, removing template and maintenance, and backfilling soil.

All footings were made from sulfate-resistant concrete of nominally identical quality with a specified 28-day compressive strength of 25 MPa. Figure 4 shows the installed helical anchors and the footing with reinforcement prior to concrete placement.

### 4. Test Setup and Loading Procedure

Each of the compression load tests on the composite foundations was conducted after the footing concrete had cured for about four weeks. The same axial compression loading test setup, instrumentation, and data measurement system were employed for all tests. The compression load was axially applied through a system comprising a loading platform, a reaction beam, and a hydraulic jack in line with the central longitudinal axis of the composite foundation.

During each load test, pier-head settlements of the composite foundation were measured at four points with a 90° separation on the pier top head using four electronic displacement transducers with 50 mm range and 0.01 mm sensitivity. All the electronic displacement transducers were attached to the reference beams fixed over the pier head, and they were sufficiently stiff to sustain the instrumentation and to prevent excessive variations in the measurements.

Each compression load test was conducted using static monotonic loading with no unload-reload loops. The slowly maintained-load method was employed in all the tests; namely, the compression load was applied in increments of 10% of the predicted maximum resistance of each individual foundation, and the composite foundation was enabled to move under each maintained-load increment until a designated settlement rate was achieved. Each compression load increment was held after loading until two consecutive settlements within each hour were less than 0.10 mm. The next load increment was subsequently added. It is noted in
Figure 3: Details of composite foundations in the test: (a) CF1, (b) CF2, and (c) CF3.

Figure 4: Photo of a composite foundation prior to concrete placement: (a) installed helical anchors and (b) the footing with reinforcement and supporting wall framework.
this study that the two consecutive settlement values were
defined as the average of the vertical pier-head displace-
ments within each hour from the four electronic displace-
ment transducers on the pier head of the composite
foundation. It is the typical procedure recommended by
Chinese National Code GB50007 [18] and Local Code JGJ 94
[19–22].

5. Test Results and Discussion

5.1. Load-Settlement Response and Load Capacity. In limit
state design, it is of great importance to consider the ultimate
limit state (ULS) (addressing foundation capacity) and the
serviceability limit state (SLS) (addressing foundation set-
tlement) simultaneously [23–25]. Therefore, the load test
results in this study are first analysed in terms of the load-
settlement curves. Figure 5 shows the variation of com-
pression load against pier-head vertical settlement for each
composite foundation. It should be noted that the settle-
ments in Figure 5 are the means of the output of the four
electronic displacement transducers on the pier head.

It can clearly be seen that the compression load-settle-
ment curves in Figure 5 are similar to those of drilled shafts
[26, 27] and footings under compression loads [3], and they
can generally be divided into three distinct segments: initial
linear-elastic, curve transition, and final linear, as was
suggested by Hirany and Kulhawy [28–30] in Figure 6.
Various criteria have been recommended in the literature to
interpret the failure load from this type of load-displacement
curve. In this study, five criteria which employ varied in-
terpretation bases, as noted in Table 2, were used to evaluate
the capacity of each composite foundation. In general, these
criteria can be considered as representative of existing cri-
teria because they represent a distribution of interpreted
failure loads from the lower, middle, and higher bounds, as
identified in practice [20, 21]. The interpreted failure loads of
the test foundations, as well as the corresponding settle-
ments, are listed in Table 3. It should be noted that Q_{L1} is not
an interpreted failure load, but the elastic limit, and it is
listed for reference only.

Table 3 indicates that a significant scatter exists for the
interpreted load capacities of the foundation using different
criteria, and the interpreted failure loads vary from 475 to
1166 kN for CF1, from 479 to 1410 kN for CF2, and from 562
to 1435 kN for CF3. The slope tangent, tangent intersection,
and Terzaghi and Peck methods yield compression capacities
less than the L_1–L_2 method and are therefore located within
the curve transition segment between L_1 and L_2. However,
the Chin method always yields the highest load capacity,
even greater than the applied maximum load. Therefore,
defining the failure load as Q_{CHIN} yields a value that is too
large, possibly because Q_{CHIN} is based on a hyperbolic
mathematical model that corresponds to the asymptote of
the load-settlement curve. In general, the L_1–L_2 method
could interpret all the load tests, and therefore Q_{L2} could be
adopted as a base for comparison.

As shown in Table 3, the interpreted load capacity de-
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5.2. Soil Pressures underneath the Footing. When a composite
foundation is subjected to compression loads, the steel-
reinforced concrete footing may behave as a rigid body, and
therefore, the soil underneath the footing becomes signifi-
cant to resist the compression forces. To obtain a better
understanding of the load-transfer mechanism, as illustrated
in Figure 7, fifteen miniature vibrating-wire soil pressure
cells, with a diameter of 0.10 m and a capacity of 500 kPa,
were fixed underneath each footing of the composite

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Figure 5: Variation of applied compression load against pier-head settlement.

Figure 6: Sections of load-displacement curve for the L_1–L_2
method [28–30].
foundations after completion of the first two procedures during the installation.

As demonstrated in Figure 7, the soil pressure cells were arranged along the center line AB and diagonal line CD and they were numbered 1 to 7 and 8 to 15 in sections AB and CD, respectively. All the soil pressure cells were calibrated and fixed within a 50 mm thick sand layer. Unfortunately, the soil pressure cell 4 of CF3 was damaged after installation.

Table 2: Definitions of representative interpretation criteria examined in this study.

| Method                        | Category                  | Definition of interpreted capacity, \( Q \) |
|-------------------------------|---------------------------|-------------------------------------------|
| Chin method [31]              | Mathematical modeling     | \( Q_{\text{CHIN}} \) is equal to the inverse slope, \( 1/m \), of the line, \( s/Q = ms + c \), where \( Q \) is the load, \( s \) is the total displacement and \( m \) and \( c \) are the slope and intercept of the line, respectively. |
| Terzaghi and Peck method [32] | Displacement limitation   | \( Q_{\text{T&P}} \) is the load that occurs at 1.0 inch (25.4 mm) total displacement. |
| Slope tangent method [33]     | Graphical construction    | \( Q_{\text{ST}} \) occurs at a displacement equal to the initial slope of the load-displacement curve plus 0.15 inch (3.8 mm). |
| Tangent intersection method [34, 35] | Graphical construction | \( Q_{\text{TI}} \) is determined as the intersection of two lines drawn as tangents to the initial linear and final linear portions of the load-displacement curve and projected to the load-displacement curve. |
| L1–L2 method [28–30]         | Graphical construction    | \( Q_{\text{L1}} \) and \( Q_{\text{L2}} \) correspond to elastic limit and failure threshold loads, respectively, as shown in Figure 6. |

Table 3: Interpreted compression load capacities and settlements for all three foundations.

| Foundation number | Interpreted compression capacity, \( Q' \) (kN), and the settlement, \( s_{\text{ST}} \) (mm) |
|-------------------|-----------------------------------------------|
| CF1               | \( Q_{\text{L1}} = 214 \), \( s_{\text{L1}} = 1.26 \), \( Q_{\text{ST}} = 475 \), \( s_{\text{ST}} = 7.21 \), \( Q_{\text{TI}} = 632 \), \( s_{\text{TI}} = 15.10 \), \( Q_{\text{T&P}} = 813 \), \( s_{\text{T&P}} = 30.22 \), \( Q_{\text{CHIN}} = 764 \), \( s_{\text{CHIN}} = 1166 \) >62.43 |
| CF2               | \( Q_{\text{L1}} = 205 \), \( s_{\text{L1}} = 1.15 \), \( Q_{\text{ST}} = 479 \), \( s_{\text{ST}} = 6.88 \), \( Q_{\text{TI}} = 642 \), \( s_{\text{TI}} = 12.93 \), \( Q_{\text{T&P}} = 910 \), \( s_{\text{T&P}} = 29.57 \), \( Q_{\text{CHIN}} = 858 \), \( s_{\text{CHIN}} = 1410 \) >62.05 |
| CF3               | \( Q_{\text{L1}} = 375 \), \( s_{\text{L1}} = 3.20 \), \( Q_{\text{ST}} = 562 \), \( s_{\text{ST}} = 8.51 \), \( Q_{\text{TI}} = 724 \), \( s_{\text{TI}} = 15.53 \), \( Q_{\text{T&P}} = 977 \), \( s_{\text{T&P}} = 32.12 \), \( Q_{\text{CHIN}} = 878 \), \( s_{\text{CHIN}} = 1435 \) >60.90 |

Interpreted load capacities for various methods: \( Q_{\text{ST}}, \) slope tangent method; \( Q_{\text{TI}}, \) tangent intersection method; \( Q_{\text{L1}}, \) L1 method; \( Q_{\text{L2}}, \) L2 method; \( Q_{\text{T&P}}, \) Terzaghi and Peck method; and \( Q_{\text{CHIN}}, \) Chin method. Settlements for the various methods: \( s_{\text{ST}}, \) slope tangent method; \( s_{\text{TI}}, \) tangent intersection method; \( s_{\text{L1}}, \) L1 method; \( s_{\text{L2}}, \) L2 method; \( s_{\text{T&P}}, \) Terzaghi and Peck method; and \( s_{\text{CHIN}}, \) Chin method. By definition, \( s_{\text{T&P}} = 25.4 \text{ mm}, \) not included in the table. The symbol (>) expresses that the interpreted settlement is greater than the measured data.

Figure 7: Details for (a) schematic diagram and (b) photograph of the arrangement of soil pressure cells.
Figure 8: Continued.
The measured results of the fifteen soil pressure cells along horizontal center line AB and the diagonal line CD for CF1, CF2, and CF3 are plotted in Figure 8.

Figure 8 indicates that the incremental soil pressures underneath the footing gradually increase with increasing of the applied compression loads, and a similar trend can be observed for distribution of the incremental soil pressures. Soil pressure cells at the center, near the edge, and at the corner represent a distribution from the lower, middle, and higher ranges of the incremental soil pressures underneath the footing. This phenomenon is similar to that of a foundation underpinned by micropiles reported by Han and Shu [36].

5.3. Percentage of Loads on Helical Anchors and Footing.

The distribution of incremental soil pressures underneath the footing in Figure 8 indicates that the helical anchors and the footing of the composite foundation both share the compression loads. As expected, a well-designed composite foundation to resist compression loadings will rely on how much of the compression resistance comes from the helical anchors and how much of that comes from the soil beneath the footing.

Based on the principle that the compression load applied on the composite foundation can be shared by the helical anchors and the soil beneath the footing, the compression resistance of the footing for each of composite foundations was estimated by the measured incremental soil pressures of the soil.
pressure cells underneath the footing. As listed in Table 4, the average soil pressure underneath the footing corresponding to each compression load increment is calculated by each individual soil pressure cell. Then, the compression resistance from the footing is determined by using this average soil pressure to multiply the footing area. Finally, the corresponding compression resistance from the helical anchors can be obtained. For the purpose of analysis, as tabulated in Table 4, the compression resistance from helical anchors corresponding to each load increment is expressed as the percentage of the applied load on the composite foundation pier. Figure 9 shows the variation in the percentage of the compression resistance from the helical anchors for CF1, CF2, and CF3.

As shown in Figure 9, the percentage of the compression resistance from helical anchors during the loading fluctuates between 74.7% and 83.8% for CF1, between 53.8% and 59.6% for CF2, and between 72.5% and 83.0% for CF3. In general, the percentage tends to slightly decrease with the increase of the total load applied on the composite foundation pier. This reduction of the load on the helical anchors demonstrated that the screw anchors had started to yield, and more compression load was transferred onto the soil underneath the footing. The helical anchors carry approximately 60%–80% of the applied compression loads; in other words, the helical anchors share more loads than the footing.

### 6. Conclusions

Three axial compression load tests were carried out on a type of composite foundation of spread footing anchored by helical anchors. Based on the field load test results, the following conclusions can be reached:

1. The compression load-settlement responses of composite foundations approximately exhibit three distinct segments: initial linear-elastic, curve transition, and final linear, which are similar to those of drilled shafts and footings under compression loads, and their compression resistances should be interpreted employing an appropriate criterion as done in other studies.

2. Of the five representative interpretation criteria (Chin, Terzaghi and Peck, slope tangent, tangent intersection, and L1–L2) examined in this study, the slope tangent, tangent intersection, and Terzaghi and Peck methods are located within curve transition segment of the load-settlement curve, whereas the Chin method yields the highest load capacity, even greater than the measured data. According to L1–L2 method, L1 is a definition for the elastic limit, while L2 could be a useful definition for the interpreted load capacity and could be adopted as a base for comparison.

3. Under compression loads, the helical anchors and the footing both share the applied compression loadings on the composite foundation. However, the helical anchors generally share more compression loads than the footing, approximately 60%–80% of the applied loads. Higher compression resistance of a composite foundation can be obtained by increasing the footing embedment depth and the number of helical anchors underneath the footing.

4. When a composite foundation is subjected to compression loads, soil pressure cells at the center, near the edge, and at the corner represent a distribution from the lower, middle, and higher ranges of the incremental soil pressures underneath the footing. More load can be transferred onto the soils underneath the footing after the screw anchors start to yield.

5. It should be noted that the results shown in this study are general behaviors applicable for the composite foundations of spread footing anchored by helical anchors installed in silty clay and sandy silt only, and any extrapolation of these results to other different soil foundations is not recommended.

### Data Availability

The data used to support the findings of this study can be obtained from the corresponding author upon request.
Conflicts of Interest

The authors declare that they have no conflicts of interest regarding the publication of this paper.

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