A Symphony Conducted by BruNet

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Abstract

We introduce BruNet, a general P2P software framework which we use to produce the first implementation of Symphony, a 1-D Kleinberg small-world architecture. Our framework is designed to easily implement and measure different P2P protocols over different transport layers such as TCP or UDP. This paper discusses our implementation of the Symphony network, which allows each node to keep $k \leq \log N$ shortcut connections and to route to any other node with a short average delay of $O(\frac{1}{k} \log^2 N)$. We present experimental results taken from several PlanetLab deployments of size up to 1060 nodes. These successful deployments represent some of the largest PlanetLab deployments of P2P overlays found in the literature, and show our implementation’s robustness to massive node dynamics in a WAN environment.

Introduction: Motivation and Summary of Results

Peer-To-Peer (P2P) networking is an increasingly popular network model where nodes communicate directly without utilizing a centralized server. In recent years, P2P file-sharing applications have flourished. A recent study shows that P2P systems are responsible for approximately one half of the network traffic at a major university[1] and comprise a significant fraction of total Internet traffic. For a review of P2P search systems, see [2].

There are three novel contributions reported in this work. First, we describe a new P2P software framework called BruNet. The BruNet framework handles most of the issues common to all P2P protocols such as dealing with firewalls and NATs, connecting nodes, and routing packets. Secondly, we use the BruNet P2P framework to implement Symphony[3], a 1-D Kleinberg routable small-world network[4, 5]. This is the first implementation of a 1-D routable small-world network. Third, we report on large scale PlanetLab tests involving more than 1000 nodes, which puts the P2P networks described here amongst the largest P2P networks to be tested on PlanetLab. These deployments demonstrate our implementation’s robustness to massive node dynamics in a WAN environment.

Our BruNet software architecture manages P2P packet routing and connection maintenance. Given a packet with a particular destination address $A$, the system will deliver the packet to the node closest to that address. This sort of routing primitive may be used to build a distributed hash table (DHT), which is common in the P2P literature. Clearly, the success and efficacy of such an ad-hoc addressing and routing scheme depends on the robustness of the overlay structured networks.

The deployment of DHT P2P systems such as the Kademia-based[6] eDonkey, which already supports about a million simultaneous users, indicates that large-scale overlay networks are feasible. The existence of such large-scale DHT systems is impressive, however the performance of P2P networks at that scale has not yet been systematically studied. While we have not yet scaled to one million nodes, our experiments of more than 1,000 nodes is amongst largest P2P networks to be tested on PlanetLab. The data we obtained from deployments of our system on PlanetLab show that the structured routing network can indeed be bootstrapped from a random initial network, and can be robust to high rates of joins and departures of participating nodes.

We chose Symphony, the 1-D Kleinberg routable small-world network[3, 4, 5] as the topology for the structured overlay network. This ringlike address space entails simple routing calculations and requires very low node state. Our structured overlay is currently the only implementation of a 1-D Kleinberg routable small-world network; as reviewed in the next section, a number of schemes that utilize the 1-D small-world model have been proposed, but to the best knowledge of the authors none have been deployed and tested in a WAN
environment. Kleinberg proved that properly designed small-world networks could support efficient decentralized routing with $O(\log^2 N)$ latency. The proposed system uses a 160-bit address space to construct a ring structure. Shortcuts are made in this ringlike address space according to a specific probability distribution [4].

Our functioning implementation adds several new features to the routable small-world model, including expanded routing rules to permit firewall traversal and easy bootstrapping and also to obtain a structured 1-D starting from any initially connected network. Networks up to $10^6$ nodes have been deployed on PlanetLab, as we discuss later in Section 5. A key goal of this effort is that the network remains routable in the presence of massive node dynamics including massive joins, massive failures, ring merging and churn. The system’s robustness under heavy node dynamics compares very favorably to the results published for Tapestry [7]: moreover, our deployment has more than twice the number of nodes dealt with in [7].

The paper is laid out as follows: we first discuss related work in the following section. Section 3 describes the BruNet software architecture and system components. Section 3 also includes our approach to traversing firewalls and NAT devices. Section 4 provides details on our Symphony implementation. Finally, Section 5 presents PlanetLab experiments that demonstrate the correctness and robustness of the network.

2 Related Work

There has been much recent work on producing structured P2P overlays with distributed hash table (DHT) interfaces. Some examples of these structured systems include [8, 9, 10, 11, 12, 13, 7, 14, 6, 3]. The main advantages of these structured DHT systems are scalable object location in $O(\log N)$ or $O(\log^2 N)$ steps and the guaranteed retrieval of any existing object.

This paper reports on an implementation and measurements rather than simulation of a P2P protocol. While there are many reports of simulations of structured P2P protocols, the measurement of such protocols in real world WAN environments has rarely been addressed (e.g. [7]).

Among the existing structured systems, there are several Kleinberg-inspired small-world P2P overlays: Symphony [3] provides a detailed software design for a DHT system based on a unit-circumference ring; Accordion [15] is a proposed small-world-based structured system designed to provide efficient bandwidth management of the distributed routing tables; Mercury [16] presents a protocol for supporting multi-attribute range queries that layers on top of a small-world-based ring; SWAN [17] is an implemented multi-agent system based on the original 2-D Kleinberg model [5]. Of the aforementioned small-world P2P systems, only SWAN has been implemented, while performance estimates for Symphony, Accordion, and Mercury are based solely on simulations. Therefore the presented system appears to be the first implementation of the 1-D ring-based Kleinberg routable small-world network.

3 BruNet System Architecture

The BruNet P2P software framework is designed to allow easy implementations of many different protocols. The software is implemented in the C# programming language using the Mono compiler and virtual machine on GNU/Linux based systems. This section provides a general overview of the basic primitives of the system, namely nodes, addresses, edges, routers and connection overlords.

3.1 Nodes and Addressing

The active elements in the system are called nodes. Each node can send packets, receive packets, and route packets. A particular computer system, such as a desktop PC or a server system may host one or more nodes. The node is envisioned as an agent for a user or software application. Each node has exactly one address, which uniquely identifies that node on the network. Additionally, each node maintains several edges and uses these edges to pass packets to neighboring nodes.

When a node is the destination of a packet, the node informs the user, or a higher-layer software application,
of the packet. The node also acts as a manager of its edges.

The 160-bit address space consists of all the integers from 0 to $2^{160} - 1$ and is partitioned into 161 distinct address classes. To determine the class of a particular address, count the number of consecutive bits of value 1 on the rightmost part of the address. There can be between 0 and 160, and thus there are 161 address classes. Clearly, address class $n$ is twice as large as $n + 1$. In fact, a class $n$ address ends with exactly one bit of value 0 followed by $n$ bits of value 1 (except for class 160, for which all bits have the value 1). The size of the class $n$ address space is $2^{159-n}$ (except class 160, which has size 1). To see that we have accounted for all the addresses, we can sum the size of each class and see that we get all $2^{160}$ addresses:

$$S = 1 + \sum_{k=0}^{159} 2^{159-k}$$

$$= 1 + 2^{159} \left( \frac{1 - 2^{-160}}{1 - 2^{-1}} \right)$$

$$= 1 + 2^{160} - 1 = 2^{160}$$

So we see that if we count all classes from 0 to 159 (and add 1 for class 160), we see that we get all $2^{160}$ possible addresses.

Address class 0 is the largest. We use class 0 to represent addresses on the ring. These “ring” addresses are common to both the Chord[9] and Symphony[3] protocols. We describe the routing algorithm for these addresses in Section 4. In addition to the ring addresses in class 0, we define class 124 as “directional” addresses. Directional addresses indicate that a packet should be routed in a particular direction on the ring such as clockwise or counter-clockwise. Directional addresses are useful for communicating with nearby nodes on the ring as is often needed when joining the network or in DHT applications.

Our system is designed to be a general framework for P2P applications. For example, one application of our system might be to use class 1 addresses to represent hypercube addresses such as those used in the Pastry P2P protocol [11]. This partitioning allows us to easily implement new protocols without changing the packet format or core libraries.

### 3.2 Packet Format

All system packets begin with a byte that describes the type of data contained in the payload, followed by a payload. The first packet type is 0x01, which is used by nodes to establish connections and discover one another’s BruNet system information.

| Header Field | Start Position | Length (bytes) |
|--------------|----------------|----------------|
| Type         | 0              | 1              |
| Hops         | 1              | 2              |
| TTL          | 3              | 2              |
| Source       | 5              | 20             |
| Destination  | 25             | 20             |
| Payload Type | 45             | 1              |

Table 1: Packet format

The second packet type is 0x02, which is used for the routed P2P protocols (this type is in contrast to type 0x01 packets which are not routed on the overlay and are only used when two nodes are directly connecting to one another). In many respects, the routed P2P packets are similar to Ethernet packets but with a few notable differences. Ethernet has 8 byte addresses where this system uses 20 byte addresses. Ethernet uses two bytes to denote the payload type, where we use only one. Unlike Ethernet packets, we do not need to include a checksum (since, as we discuss in section 3.3, we assume that the edges provide accurate packets). Also unlike Ethernet, we do need to include a field to indicate how far the packet has traveled and how far it is allowed to go.

Packets may encapsulate many different types of payloads. For instance, nodes manage their position in the network by sending “network structure” packets to other nodes. Packets also transport what may be considered “application layer” data, such as queries for DHT or file-sharing applications.

### 3.3 Edges and Connectivity

In this work, we will say that a pair of nodes has an edge between them if they are communicating with one another by sending packets over a single overlay hop. Any underlying networking protocol which matches this requirement is a suitable transport. In fact, different edges may work over different transport protocols (such as TCP, UDP, etc.).

Every edge must provide two things:

- the edge must not pass corrupt packets
- the edge must know the length of each packet it receives.

We identify endpoints of edges with transport addresses, for instance *BruNet.tcp:192.168.0.1:10030* to identify an endpoint of a TCP edge at IP address 192.168.0.1 and port 10030. Generally, the transport address is a pair which contains the protocol and the addressing information for that protocol. Currently, we
have implemented TCP and UDP edges, but in principle we could also define an Ethernet edge to transport BruNet over Ethernet.

Edges are typed with labels. For instance, in the Symphony protocol, there are edges which go to near neighbors on the ring and also shortcut connections that cut across the ring. The edges are labeled to distinguish them. Our framework allows edges to be labeled with any string, so a future protocol may be implemented which may define new edge labels.

We assume that each node joins the network by contacting some node and forming a “leaf” connection. The leaf connection is used for a newly joined node to bootstrap into its proper place in the network. The new node bootstraps by asking the node on the other end of the leaf connection to act as a proxy for any packets the new node would like to send or receive. Once a node has at least one leaf connection, it may use that connection to get more connections. There are two connection phases: making a connection request and the handshaking which goes on when two nodes are creating an edge between them.

Consider the case of one node, which we will call the source, connecting with a second, which we will call the target. To create a new connection, the source sends a message to the target through the BruNet network. This message includes the BruNet address as well as a list of transport addresses corresponding to the source node. Once the target node receives the connection request, it sends a response which includes the same information about the target, namely the target’s BruNet address and list of transport addresses. After sending the response, the target also attempts to create a new edge by using some networking transport to contact the source node. For instance, when the source node is using UDP, the target node will send a UDP packet to the address given in the connection request. The target attempts to connect to the source using each item in the transport address list. If none of these attempts is successful the target gives up. On the other end of this exchange, the source node should receive both a response to its connection request and the new edge connection from the target. Assuming the transport layer is faster than the BruNet layer (which should be true since BruNet is an overlay on the transport), the source node should get the target’s connection prior to receiving the response to the connection request. If for any reason (such as the existence of a firewall which we discuss in Section 3.4) the source does not get a connection from the target, when it receives the target’s connection message response, the source initiates a connection to the target.

Assuming one or the other of the nodes is able to make a connection to the other, the nodes connect and exchange several pieces of information, which we call the linking protocol. The first piece of information the nodes exchange is the local and remote transport addresses that each see as accurate for the connection. Due to network address translation (NAT), the two nodes may not agree on which IP addresses and port numbers they are each using, but the information is exchanged so that each node can add this new transport address to their list of possible transport address endpoints that future nodes may use to connect to them. In addition to two peers’ transport address information, each node exchanges a list of BruNet addresses (which are used for routing on the overlay) and transport addresses (which are used for making new connections) of nearby nodes. In our experience, getting connected, sending and receiving packets, and dealing with the errors that may occur during this process is the most complex aspect of the P2P system. As such it is very convenient to design this aspect of the system to be reusable by a wide variety of protocols.

### 3.4 Firewalls

Many nodes on the Internet today are behind a firewall or a network address translation (NAT) device. Such nodes present a challenge to P2P systems as it can be difficult for them to become connected to the network and to each other. As we discussed in Section 3.3, the BruNet connection process involves two steps: sending the connection request followed by the linking protocol.

When at least one node is not behind a NAT or a firewall, our standard connection protocol will result in the nodes forming a connection between them. Since our connection protocol involves first contacting the target over the BruNet network to exchange transport address information, both the target and the source have enough information to contact the other. So as long as one of the two parties is not behind a firewall, the connection will take place normally.

When using UDP, our protocol allows two NATed and firewalled nodes to connect. As identified by the STUN[18] protocol, there are four types of NAT in use today: full cone, restricted cone, port restricted cone and symmetric. Like the STUN protocol, we only deal with the first three cases, and not with the symmetric NAT. Of the first three cases, the port restricted cone is the most restrictive; any protocol that works for the port restricted case works for the first two, so we describe how we deal with the port restricted cone NAT.

A port restricted cone NAT performs a mapping from an internal network \((IP_i, port_i)\) pair to an external \((IP_e, port_e)\) pair. Consider a packet that arrives at the NAT with destination \((IP_e, port_e)\) and source \((IP_s, port_s)\). The NAT will only pass this packet if the internal node \(IP_i\) has previously sent a packet with source \((IP_s, port_s)\) to \((IP_e, port_e)\). So, in order for two
nodes which are both behind a NAT to communicate, both nodes have to have previously sent a packet to the other’s translated address. Fortunately, since our connection protocol involves routing the transport address information over the overlay, both nodes will get transport address information sufficient to contact the other. Assuming that both know their translated addresses, each will be send packets to the other’s translated addresses. If the NATs are not symmetric, they will pass all packets after the first. Our linking protocol involves using retries with back-off, thus the nodes will be able to send the necessary packets to open the connection through the NAT. The only issue that remains is how nodes learn their translated transport address. As covered in Section 3.3, part of our protocol is for each node to echo the transport address information it sees to its peer during connection. This allows each node to learn its translated address assuming it can make at least one leaf connection to a node which is not behind a NAT.

Our approach uses the same facts about common NAT devices as the STUN protocol except we use the P2P network instead of a central server to share the translated IP information.

### 3.5 Routing and Connection Management

Most P2P systems will have a great deal of overlap in the concepts we have discussed above, however significant differences will emerge when it comes to routing of packets and the management of connections to peers. In the BruNet architecture, both routing and connection management are handled by components.

To implement a new protocol, most of the existing BruNet system is reused, but a new router object must be defined and associated with the address class that will be used for that protocol. Additionally, each P2P protocol may have different rules for maintaining connections to peers including how many connections to maintain and to which peer each node should be connected. Connection overlord objects encapsulate the code which manages the connections in the system. For instance, in the Symphony protocol, each node should have a connection to its left and right neighbors as well as at least one shortcut connection. We implemented a Symphony-ConnectionOverlord which counts the number of each of these types of connections, initiates new connections when needed, and closes connections that are no longer needed.

BruNet was designed to implement unstructured as well as structured P2P protocols. Implementing unstructured protocols, such as the Gnutella broadcast query protocol, is also easy. One need only define a new address class to represent broadcasts, implement a router to handle the routing of the broadcast messages and to build a routing table of known addresses, and finally a connection overlord that makes sure that the node stays connected to the network as nodes come and go. The connection logic, transport abstraction, packetization, and serialization can all be reused between various implementations.

### 4 An Implementation of Symphony

In the previous section we discussed the architecture of the BruNet P2P framework. In this section we describe our implementation of the Symphony 1-D small-world system. To implement a particular P2P system, we need to describe the routing and connection management, including joining and leaving, which we discuss in Sections 4.1 and 4.2 respectively.

We use class-0 addresses for this protocol. Thus, each node in the network can take one of $2^{150}$ structured addresses. We interpret these addresses as even 160-bit integers in the range $[0, 2^{160} - 2]$ with this address space forming a ring. By convention, we say that the ring increases in the clockwise direction.

#### 4.1 Small World Routing

The theory that supports structured routing comes from works on routable small-worlds [4, 5]. However, we introduce novel practical routing algorithms, which make network maintenance a natural consequence of those routing algorithms. As we discuss in Section 3.1, each node has an address that can be interpreted as a coordinate on a ring. As such, there is directionality (e.g. clockwise and counterclockwise). There are two mechanisms for routing on this structure: destination based and direction based.

In direction based routing, we use fixed addresses (class-124) to refer to “clockwise” and “counterclockwise”. When the packet’s HOPS equal its TTL, the packet is delivered. By setting the TTL, a node can then communicate with its near-neighbors on the ring. This might have interesting applications for caching in DHT systems. Nodes maintain connections to at least two nearest nodes to them in both directions. This direction based routing is what enables a node to find its near-neighbors in order to connect to them.

Destination based routing is slightly more complex. This mode of routing refers to the case where one node wants to address a second node by that second node’s class-0 address, not based on its relative position on the ring. The simplest approach would be to route to the neighbor node which is closest to the destination, never

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1 for randomly selected addresses, the network size will have to be $\approx 2^{79}$ nodes before we are likely to reuse an address
Algorithm 1 GreedyNextHop(v, source, target): This algorithm describes how a packet arriving at v from source takes its next hop towards the target using greedy mode. Each hop tries to get closer (without visiting source) to target. The adjacency list of node v is denoted Adj[v], and the distance between two nodes (a,b) in the network is DIST\_ring(a,b).

\[
d_{\text{min}} \leftarrow \text{DIST}\_\text{ring}(v, \text{target}) \\
u_{\text{min}} \leftarrow v \\
\text{for all } u \in \text{Adj}[v] \text{ do} \\
\quad d_{\text{tmp}} = \text{DIST}\_\text{ring}(u, \text{target}) \\
\quad \text{if } d_{\text{tmp}} < d_{\text{min}} \text{ then} \\
\quad \quad d_{\text{min}} = d_{\text{tmp}} \\
\quad \quad u_{\text{min}} = u \\
\quad \text{end if} \\
\text{end for} \\
\text{if } u_{\text{min}} \neq v \text{ or } u_{\text{min}} \neq \text{source} \text{ then} \\
\quad \text{Deliver to } u_{\text{min}} \\
\text{else} \\
\quad \text{This is the last hop. Deliver locally to } v. \\
\text{end if}
\]

Algorithm 2 ExactNextHop(v, source, target): This algorithm describes how a packet arriving at v from source takes its next hop towards the target using exact mode. Each hop tries to get closer (without visiting source) to target. The packet is delivered only to the target and no other node. The adjacency list of node v is denoted Adj[v], and the distance between two nodes (a,b) in the network is DIST\_ring(a,b).

\[
d_{\text{min}} \leftarrow \text{DIST}\_\text{ring}(v, \text{target}) \\
u_{\text{min}} \leftarrow v \\
\text{if } v = \text{target} \text{ then} \\
\quad \text{This is the last hop. Deliver locally to } v. \\
\text{else} \\
\quad \text{for all } u \in \text{Adj}[v] \text{ do} \\
\quad \quad d_{\text{tmp}} = \text{DIST}\_\text{ring}(u, \text{target}) \\
\quad \quad \text{if } d_{\text{tmp}} < d_{\text{min}} \text{ then} \\
\quad \quad \quad d_{\text{min}} = d_{\text{tmp}} \\
\quad \quad \quad u_{\text{min}} = u \\
\quad \quad \text{end if} \\
\quad \text{end for} \\
\quad \text{if } u_{\text{min}} \neq v \text{ or } u_{\text{min}} \neq \text{source} \text{ then} \\
\quad \quad \text{Deliver to } u_{\text{min}} \\
\text{end if} \\
\text{end if}
\]

Algorithm 3 AnnealingNextHop(v, source, target): This algorithm describes how a packet arriving at v from source takes its next hop towards the target using annealing mode. Each hop tries to get closer (without visiting source) to target unless that is not possible in which case the packet is delivered to v and sent to the next closest node. The adjacency list of node v is denoted Adj[v], and the distance between two nodes (a,b) in the network is DIST\_ring(a,b).

\[
d_{\text{min}} \leftarrow \text{DIST}\_\text{ring}(v, \text{target}) \\
d_{\text{sec}} \leftarrow d_{\text{min}} \\
u_{\text{min}} \leftarrow v \\
u_{\text{sec}} \leftarrow v \\
\text{for all } u \in \text{Adj}[v] \text{ do} \\
\quad d_{\text{tmp}} = \text{DIST}\_\text{ring}(u, \text{target}) \\
\quad \text{if } d_{\text{min}} \leq d_{\text{tmp}} < d_{\text{sec}} \text{ then} \\
\quad \quad d_{\text{sec}} = d_{\text{tmp}} \\
\quad \quad u_{\text{sec}} = u \\
\quad \text{else if } d_{\text{tmp}} < d_{\text{min}} \text{ then} \\
\quad \quad d_{\text{sec}} = d_{\text{min}} \\
\quad \quad u_{\text{sec}} = u_{\text{min}} \\
\quad \quad d_{\text{min}} = d_{\text{tmp}} \\
\quad \quad u_{\text{min}} = u \\
\quad \text{end if} \\
\text{end for} \\
\text{if } u_{\text{min}} \neq v \text{ or } u_{\text{min}} \neq \text{source} \text{ then} \\
\quad \text{Deliver to } u_{\text{min}} \\
\text{else} \\
\quad \text{Deliver locally to } v. \\
\text{Deliver to } u_{\text{sec}} \\
\text{end if}
\]

In a real system there may be some problems to deal with. In particular, the ring may be broken by several nodes leaving at once. In that case, the ring becomes a line. If the line is not reconnected into a ring, a subsequent failure could cause the line to split, which would break routability. As such, we add some exceptions to the simple routing discussed above which makes reconnecting the ring easier: namely, we do not require that the packet gets closer to its destination on its first hop as...
described in Algorithm 3.

4.2 Joining the Small-World

In order for a node to join the ring, it makes use of Routing Algorithm 3: annealing routing. The annealing routing tolerates some disorder in the network. Every node that joins the ring must have a 160-bit class-0 address. This address must be randomly-generated to ensure the near uniform distribution of addresses on the ring; thus class-0 addresses are obtained by using a secure hash algorithm or some other source of random bits. After a node has a class-0 address, it must find its place in the ring. This means that it needs to make a connection to the closest node on both the right and left of its own address. Since the new node is not yet connected to the correct place in the ring it is not yet able to route messages using the routing algorithms described above. The new node instead makes use of a node that is correctly placed in the ring as a proxy in order to find its place. The new node creates a special type of bootstrapping connection that does not support any of the routing algorithms above but does provide for packets to be sent to the node on the other end of the connection. This bootstrapping connection allows the new node to communicate with the proxy in order to send and receive messages while it is waiting to find its place in the ring. The proxy sends a request to connect to the new address which is not yet in the network. Given the new node’s absence, the closest node on the right and the closest node on left of the new node will form connections to the new joining node. At this point the new node is at the correct location in the ring and can add additional neighbors and shortcut connections as needed. Algorithm 4 shows this process.

Connection is not an instantaneous process. Our implementation uses two round trips: a link request and response, and a status request and response. The link messages exchange the node addresses, the IP addresses and port numbers, and whether the connection is a near-neighbor connection or shortcut connection. The status message allows the nodes to communicate some of their properties to their neighbors. In particular, the status message shares the node address and IP information of other nodes which are close to the new neighbor. This information allows nodes to verify that their views of the network are consistent and make repairs.

In addition to neighbor connections, every node must also maintain $k$ shortcut connections to other nodes that are far away in the address space. Specifically, the distances traveled by all the shortcut connections in the structured ring must follow a probability distribution function (pdf) of the following form: $p(d) \propto 1/d$, where $d$ denotes the distance traveled by the shortcut connection [4, 5]. We use the local density of addresses to estimate network size and thus $d_{ave}$, the average distance between nodes. Then, we choose a random distance $d$ between $d_{ave}$ and $d_{max} = 2^{160}$ with probability proportional to $1/d$ and connect to the node closest to that address using Routing Algorithm 1 (greedy routing). The method we use to select a proper distance is to define a random variable $x$ distributed uniformly over $[0, 1]$, and set:

$$d = d_{ave} \left( \frac{d_{max}}{d_{ave}} \right)^{x}.$$  

From the above, we see that:

$$\text{Prob}(d \leq L) = \text{Prob} \left( x \leq \frac{\log L/d_{ave}}{\log d_{max}/d_{ave}} \right)$$

which is clearly the CDF for the random variable $d$ to be distributed proportional to $1/d$ over $(d_{ave}, d_{max})$. This is repeated $k$ times. The total cost in packets to join the network is $O(\log^{2} N)$, since we need to send $O(k)$ packets and each packet requires $O(1/\log^{2} N)$ hops.

5 PlanetLab Experiments

This section describes the results of the reliability tests of the BruNet software. All of the experimental results on our implementation are performed using the global PlanetLab test-bed. PlanetLab provides a realistic, WAN environment to test distributed applications. In fact, PlanetLab nodes are often highly loaded and represent a very challenging test environment.

5.1 Experimental Methodology

PlanetLab gives access to around 400 computers that are located in many countries around the world. There are dozens of research projects running simultaneously on the scarce computational resources provided by PlanetLab. As a result, PlanetLab provides a measure of application performance on very adverse computational and...
Figure 2: The 1-D Kleinberg small-world structure requires that the distances of the shortcut connections have a pdf \( p(d) \propto 1/d \). In this PlanetLab experiment, we see that thecdf(d) follows the expected logarithmic distribution for a network of size 1060.

traffic load conditions. For the experiments presented in this section, around 100 PlanetLab machines were employed.

The current implementation is in C# using the Mono development platform. In order to minimize memory and other computational resource usage on PlanetLab machines, we run multiple nodes inside a single Mono runtime process. As a result, many nodes can reside on a single machine. However, each node is executed on a separate thread and maintains its own connections and data. Furthermore since class-0 addresses are assigned randomly, nodes that reside on the same physical machine are unlikely to be close to each other on the address space. We note that the UDP transport is used for all experiments presented in this section.

In our experiments, we wish to see that the structure of the network is correct, that the system can indeed route packets, and that the system is robust to node arrivals and failures. We analyze the logs of our experiments with a software tool which shares no code with the BruNet system itself. The metric we use to measure the robustness of the network is routability. Routability of the network is defined as the fraction of pairs of nodes which can communicate using the standard (in this case greedy) routing algorithm.

5.2 Structure Verification

As discussed in Sections 3.1 and 4, all nodes are identified by unique 160-bit addresses, which can be interpreted as integers; nodes are arranged in a ring, with the convention that the integer representation of the node addresses increase in the clockwise direction. Furthermore, our structured small-world routing network requires that each node keeps two neighbor connections to two closest class-0 addresses in the clockwise direction and counterclockwise direction. In other words, the structured ring is correct if and only if the following is true: every node has connections to its first and second class-0 neighbors on the clockwise and the counterclockwise directions in the address space.

We have successfully deployed a correct structured ring of size 1060 nodes on PlanetLab. It is difficult to see much in visualizations of such large graphs, however we present several figures for various sized networks in Figure 1 and Figures 9-11.

We verified the correctness of the shortcut distance distribution by conducting the following: after the deployment of a correct 1060-node structured ring, all the shortcut connection distances are extracted from the experiment logs. The cumulative distribution function (cdf) of the shortcut distances is plotted in Figure 2. Note that the experimental cdf curve is in good agreement with the expected curve: \( \text{cdf}(d) \propto \log(d) \).

5.3 Churn

Nodes do not stay in a P2P network indefinitely. One of the most striking aspects of the P2P network paradigm is that we assume that nodes are fundamentally faulty and will join and leave a network unexpectedly. Any real system must deal with unexpected arrivals and departures, which is called churn.

A major question is: will a node complete the joining process correctly, in the presence of a slightly disordered network, before the node departs. There are two important time scales in the churn process: the mean round-trip-time (RTT) between the hosts at the IP layer, and the mean session time of the node. As the session time approaches the RTT, clearly the system will not work properly. Since each node requires two neighbor connections and at least one shortcut connection, the time required to establish the node will be much greater than the RTT.

In our experiment, we created a correct network of 980 nodes on PlanetLab. Once the network was correct, we then started the system churning for 25 minutes. Each second, with a fixed probability, every node abruptly goes offline, and then rejoins the network. This corresponds to an exponential distribution on session time.

Figure 3 shows the results of our experiment. We find that when mean session time is above 12 minutes, the system is more than 99% routable, however as mean session time decreases to 5.7 minutes, we find that the system becomes significantly more disordered with a routability of 84%. Further decreasing the mean session

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\(^{2}\text{We have verified that the system on a TCP transport delivers comparable performance to UDP.}\)
routing even under adverse conditions such as massive node insertions, massive node failures. One outstanding feature of this system is its ability to maintain a correct structure under diverse node dynamics including massive node insertions, massive node failures and even the merging of two formerly disconnected rings. In Figure 4 we observe that nearly every pair of nodes in the network can communicate using structured routing even under adverse conditions such as massive node joins and failures.

Given that the primary objective of the presented system is overlay routing, an important performance metric is the fraction of the pairs of nodes in the network that can communicate with each other; this is denoted as routability. To investigate how robust the system is to massive changes in network connectivity, we start with a completely routable, 460-node PlanetLab deployment and insert another 450 nodes into the network simultaneously. This experiment is depicted in Figure 4. Less than one minute after the massive join the fraction of the network that is mutually routable falls to 0.65. Within another minute the fraction rebounds to 0.90. Within 11 minutes of the massive join the entire 910-node network is routable.

A similar experiment was presented by Tapestry [7] where a 325-node Tapestry network experiences a 60% massive join bringing the network size to about 525 nodes. Prior to the massive join the routability was in the high 90% range but not 100% routable. Just after the join the routability falls below 0.70 and then rebounds to about 0.95 within 10 minutes. However even after 60 minutes Tapestry is still only about 95% routable. Thus the presented system exhibits good robustness compared to Tapestry under these failure conditions. It should be noted that Tapestry has published fault-correcting protocols[22] designed to improve robustness under these types of node dynamics. These additional protocols from Tapestry have been tested in a LAN cluster but apparently not in a WAN environment such as PlanetLab.

The system can also manage the merging of multiple disconnected structured rings into a single ring as seen in Figures 9-11. This merging experiment was conducted as follows: we deployed two separate networks of sizes 470 and 499 respectively on PlanetLab; each network was totally unaware of the existence of the other network (i.e. they share no nodes in common); after both networks have formed correct rings, we deployed a single node that was connected to nodes in both networks; as a result, the two previously disconnected rings were merged into a single ring of size 970. The time for the two correct rings to merge into a single large correct ring is approximately 7 minutes. Figures 5-8 show an example of how the merging dynamics works. The exchange of neighbor lists in the connection protocol causes the two rings to be sewn together analogously to zipping the two halves of a zipper together. Based on this zipping action it is clear that it will take \( O(N) \) time for two rings to correctly merge if there is a single contact point between the rings.

As demonstrated by this ring merging experiment, networks that have become split due to catastrophic outages can easily join back together. These findings indicate that
Figure 4: The network is very robust during gradual joins, massive joins and massive failures of nodes. After abrupt changes in connectivity, the network structure heals back to a perfect ring very rapidly and achieves overwhelming percentage routability long before the ring is completely correct. This demonstrates the applicability of the system to highly dynamic applications. Moreover, from examining the bottommost figure, one can observe that the number of missing edges in the network decreases exponentially fast in time after the massive join of 450 nodes.

Figure 5: Two distinct routable rings denoted as Ring 1 and Ring 2 can be merged into a large routable ring. Here we depict Ring 1 merging with Ring 2.

Figure 6: "C" connects to "B" and "D", the two closest nodes on Ring 2. As a normal part of the connection protocol, "C" sends it neighbor lists to "B" and "D".

Figure 7: Based on the neighbor-list information obtained from "C" while connecting, "B" connects to "A" and "D" connects to "E".

Figure 8: The network is now correctly ordered but there are many more connections than are needed. Each node maintains $k$ connections to the closest neighbors on the right and left ($k = 1$ in this example). Each node will trim the excess connections until only the $k$ closest on each side remain.
Figure 9: This network on PlanetLab has 499 nodes.

Figure 10: This network on PlanetLab has 470 nodes.

Figure 11: The separate rings are merged together to form a single 970-node network on PlanetLab. The entire merge process takes 7 minutes.

the network will recover gracefully after major infrastructure outages that fracture or disable large fractions of the underlying physical layer network.

6 Conclusion

We present a new software framework for implementing P2P protocols. We use this framework to present the first 1-D implementation of the Kleinberg routable small-world model. We have shown that the C# implementation produces networks that have the required topological structure To provide scalable structured small-world routing. The system is also very robust in the presence of large node dynamics including massive joins, massive failures, disconnected ring merges and churn. Given that this system is intended to provide overlay routing over heterogeneous physical layers and transport protocols, this robustness is critical to enabling reliable overlay applications.

We anticipate that this framework will be valuable to other researchers to allow them to implement new P2P routing and connection management protocols, without the need to reimplement solutions to common problems of node handshaking, packet sending and receiving, and abstraction of underlying transports, such as UDP and TCP. Future work will including using this framework to implement unstructured P2P protocols along with structured P2P protocols.
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A Symphony Conducted by BruNet

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Abstract

We introduce BruNet, a general P2P software framework which we use to produce the first implementation of Symphony, a 1-D Kleinberg small-world architecture. Our framework is designed to easily implement and measure different P2P protocols over different transport layers such as TCP or UDP. This paper discusses our implementation of the Symphony network, which allows each node to keep \( k \leq \log N \) shortcut connections and to route to any other node with a short average delay of \( O(\frac{1}{k} \log^2 N) \). We present experimental results taken from several PlanetLab deployments of size up to 1060 nodes. These successful deployments represent some of the largest PlanetLab deployments of P2P overlays found in the literature, and show our implementation’s robustness to massive node dynamics in a WAN environment.

1 Introduction: Motivation and Summary of Results

Peer-To-Peer (P2P) networking is an increasingly popular network model where nodes communicate directly without utilizing a centralized server. In recent years, P2P file-sharing applications have flourished. A recent study shows that P2P systems are responsible for approximately one half of the network traffic at a major university[1] and comprise a significant fraction of total Internet traffic. For a review of P2P search systems, see [2].

There are three novel contributions reported in this work. First, we describe a new P2P software framework called BruNet. The BruNet framework handles most of the issues common to all P2P protocols such as dealing with firewalls and NATs, connecting nodes, and routing packets. Secondly, we use the BruNet P2P framework to implement Symphony[3], a 1-D Kleinberg routable small-world network[3, 7]. This is the first implementation of a 1-D routable small-world network. Third, we report on large scale PlanetLab tests involving more than 1000 nodes, which puts the P2P networks described here amongst the largest P2P networks to be tested on PlanetLab.

Our BruNet software architecture manages P2P packet routing and connection maintenance. Given a packet with a particular destination address \( A \), the system will deliver the packet to the node closest to that address. This sort of routing primitive may be used to build a distributed hash table (DHT), which is common in the P2P literature. Clearly, the success and efficacy of such an ad-hoc addressing and routing scheme depends on the robustness of the overlay structured networks.

The deployment of DHT P2P systems such as the Kademlia-based[4] eDonkey, which already supports about a million simultaneous users, indicates that large-scale overlay networks are feasible. The existence of such large-scale DHT systems is impressive, however the performance of P2P networks at that scale has not yet been systematically studied. While we have not yet scaled to one million nodes, our experiments of more than 1,000 nodes is amongst largest P2P networks to be tested on PlanetLab. The data we obtained from deployments of our system on PlanetLab show that the structured routing network can indeed be bootstrapped from a random initial network, and can be robust to high rates of joins and departures of participating nodes.

We chose Symphony, the 1-D Kleinberg routable small-world network[3, 7] as the topology for the structured overlay network. This ringlike address space entails simple routing calculations and requires very low node state. Our structured overlay is currently the only implementation of a 1-D Kleinberg routable small-world network; as reviewed in the next section, a number of schemes that utilize the 1-D small-world model have been proposed, but to the best knowledge of the authors none have been deployed and tested in a WAN environment. Kleinberg proved that properly designed small-world networks could support efficient decentral-
imized routing with $O(\log^2 N)$ latency. The proposed tem uses a 160-bit address space to construct a rin structure. Shortcuts are made in this ringlike ad space according to a specific probability distributic. The analysis and simulation results in [?] show maintaining $k \leq \log N$ long-range neighbors imp routing latency to $O(\frac{1}{k}\log^2 N)$.

Our functioning implementation adds several new tures to the routable small-world model, includi; panded routing rules to permit firewall traversal and bootstrapping and also to obtain a structured 1-D starting from any initially connected network. Netv up to 1060 nodes have been deployed on PlanetLa we discuss later in Section 5. A key goal of this effort is that the network remains routable in the presence of massive node dynamics including massive joins, massive failures, ring merging and churn. The system’s robustness under heavy node dynamics compares very favorably to the results published for Tapestry[?]; moreover, our deployment has more than twice the number of nodes dealt with in [?].

The paper is laid out as follows: we first discuss re- related work in the following section. Section 3 describes the BruNet software architecture and system compone- nents. Section 3 also includes our approach to traversing firewalls and NAT devices. Section 4 provides de- tails on our Symphony implementation. Finally, Section 5 presents PlanetLab experiments that demonstrate the correctness and robustness of the network.

2 Related Work

There has been much recent work on producing struc- tured P2P overlays with distributed hash table (DHT) interfaces. Some examples of these structured systems in- clude [?, ?, ?, ?, ?]. The main advantages of these structured DHT systems are scalable object location in $O(\log N)$ or $O(\log^2 N)$ steps and the guaranteed retrieval of any existing object.

This paper reports on an implementation and measure- ments rather than simulation of a P2P network. While there are many reports of simulations of structured P2P protocols, the measurement of such protocols in real world WAN environments has rarely been addressed (e.g. [?]).

Among the existing structured systems, there are sev- eral Kleinberg-inspired small-world P2P overlays: Sym- phony [?] provides a detailed software design for a DHT system based on a unit-circumference ring; Accordion [?] is a proposed small-world-based structured system designed to provide efficient bandwidth management of the distributed routing tables; Mercury [?] presents a protocol for supporting multi-attribute range queries that layers on top of a small-world-based ring; SWAN [?] is an implemented multi-agent system based on the original 2-D Kleinberg model [?]. Of the aforementioned small- world P2P systems, only SWAN has been implemented, while performance estimates for Symphony, Accordion, and Mercury are based solely on simulations. Therefore the presented system appears to be the first implementa- tion of the 1-D ring-based Kleinberg routable small- world network.

3 BruNet System Architecture

The BruNet P2P software framework is designed to al- low easy implementations of many different protocols. The software is implemented in the C# programming language using the Mono compiler and virtual machine on GNU/Linux based systems. This section provides a general overview of the basic primitives of the system, namely nodes, addresses, edges, routers and connection overlords.

3.1 Nodes and Addressing

The active elements in the system are called nodes. Each node can send packets, receive packets, and route pack- ets. A particular computer system, such as a desktop PC or a server system may host one or more nodes. The node is envisioned as an agent for a user or software application. Each node has exactly one address, which uniquely identifies that node on the network. Addition- ally, each node maintains several edges and uses these edges to pass packets to neighboring nodes.

When a node is the destination of a packet, the node informs the user, or a higher-layer software application, of the packet. The node also acts as a manager of its edges.
The 160-bit address space consists of all the integers from 0 to $2^{160} - 1$ and is partitioned into 161 distinct address classes. To determine the class of a particular address, count the number of consecutive bits of value 1 on the rightmost part of the address. There can be between 0 and 160, and thus there are 161 address classes. Clearly, address class $n$ is twice as large as $n + 1$. In fact, a class $n$ address ends with exactly one bit of value 0 followed by $n$ bits of value 1 (except for class 160, for which all bits have the value 1). The size of the class $n$ address space is $2^{159-n}$ (except class 160, which has size 1). To see that we have accounted for all the addresses, we can sum the size of each class and see that we get all $2^{160}$ addresses:

$$S = 1 + \sum_{k=0}^{159} 2^{159-k} = 1 + 2^{159} \left( \frac{1 - 2^{-160}}{1 - 2^{-1}} \right) = 1 + 2^{160} - 1 = 2^{160}$$

So we see that if we count all classes from 0 to 159 (and add 1 for class 160), we see that we get all $2^{160}$ possible addresses.

Address class-0 is the largest. We use class-0 to represent addresses on the ring. These “ring” addresses are common to both the Chord and Symphony protocols. We describe the routing algorithm for these addresses in Section 4. In addition to the ring addresses in class-0, we define class-124 as “directional” addresses. Directional addresses indicate that a packet should be routed in a particular direction on the ring such as clockwise or counter-clockwise. Directional addresses are useful for communicating with nearby nodes on the ring as is often needed when joining the network or in DHT applications.

Our system is designed to be a general framework for P2P applications. For example, one application of our system might be to use class-1 addresses to represent hypercube addresses such as those used in the Pastry P2P protocol [?]. This partitioning allows us to easily implement new protocols without changing the packet format or core libraries.

### 3.2 Packet Format

All system packets begin with a byte that describes the type of data contained in the payload, followed by a payload. The first packet type is 0x01, which is used by nodes to establish connections and discover one another’s BruNet system information.

The second packet type is 0x02, which is used for the routed P2P protocols (this type is in contrast to type 0x01 packets which are not routed on the overlay and are only used when two nodes are directly connecting to one another). In many respects, the routed P2P packets are similar to Ethernet packets but with a few notable differences. Ethernet has 8 byte addresses where this system uses 20 byte addresses. Ethernet uses two bytes to denote the payload type, whereas we use only one. Unlike Ethernet packets, we do not need to include a checksum (since, as we discuss in section 3.3, we assume that the edges provide accurate packets). Also, unlike Ethernet, we do need to include a field to indicate how far the packet has traveled and how far it is allowed to go.

Table 1: Packet format

| Header Field       | Start Position | Length (bytes) |
|--------------------|----------------|----------------|
| Type               | 0              | 1              |
| Hops               | 1              | 2              |
| TTL                | 3              | 2              |
| Source             | 5              | 20             |
| Destination        | 25             | 20             |
| Payload Type       | 45             | 1              |

3.3 Edges and Connectivity

In this work, we will say that a pair of nodes has an edge between them if they are communicating with one another by sending packets over a single overlay hop. Any underlying networking protocol which matches this requirement is a suitable transport. In fact, different edges may work over different transport protocols (such as TCP, UDP, etc.).

Every edge must provide two things:

- the edge must not pass corrupt packets
- the edge must know the length of each packet it receives.

We identify endpoints of edges with transport addresses, for instance brunet.tcp:192.168.0.1:10030 to identify an endpoint of a TCP edge at IP address 192.168.0.1 and port 10030. Generally, the transport address is a pair which contains the protocol and the addressing information for that protocol. Currently, we have implemented TCP and UDP edges, but in principle we could also define an Ethernet edge to transport BruNet over Ethernet.
Edges are typed with labels. For instance, in the Symphony protocol, there are edges which go to near neighbors on the ring and also shortcut connections that cut across the ring. The edges are labeled to distinguish them. Our framework allows edges to be labeled with any string, so a future protocol may be implemented which may define new edge labels.

We assume that each node joins the network by contacting some node and forming a “leaf” connection. The leaf connection is used for newly joined node to bootstrap into its proper place in the network. The new node bootstraps by asking the node on the other end of the leaf connection to act as a proxy for any packets the new node would like to send or receive. Once a node has at least one leaf connection, it may use that connection to get more connections. There are two phases of connection: making a connection request and the handshaking which goes on when two nodes are creating an edge between them.

Consider the case of one node, which we will call the source, connecting with a second, which we will call the target. To create a new connection, the source sends a message to the target through the BruNet network. This message includes the BruNet address as well as a list of transport addresses corresponding to the source node. Once the target node receives the connection request, it sends a response which includes the same information about the target, namely the target’s BruNet address and list of transport addresses. After sending the response, the target also attempts to create a new edge by using some networking transport to contact the source node. For instance, when the source node is using UDP, the target node will send a UDP packet to the address given in the connection request. The target attempts to connect to the source using each item in the transport address list. If none of these attempts is successful the target gives up. On the other end of this exchange, the source node should receive both a response to its connection request and the new edge connection from the target. Assuming the transport layer is faster than the BruNet layer (which should be true since BruNet is an overlay on the transport), the source node should get the target’s connection prior to receiving the response to the connection request. If for any reason (such as the existence of a firewall which we discuss in Section 3.4) the source does not get a connection from the target, when it receives the target’s connection message response, the source initiates a connection to the target.

Assuming one or the other of the nodes is able to make a connection to the other the nodes connect and exchange several pieces of information, which we call the linking protocol. The first piece of information the nodes exchange is the local and remote transport addresses that each see as accurate for the connection. Due to network address translation (NAT), the two nodes may not agree on which IP addresses and port numbers they are each using, but the information is exchanged so that each node can add this new transport address to their list of possible transport address endpoints that future nodes may use to connect to them. In addition to two peers’ transport address information, each node exchanges a list of brunet addresses (which are used for routing on the overlay) and transport addresses (which are used for making new connections) of nearby nodes. In our experience, getting connected, sending and receiving packets, and dealing with the errors that may occur during this process is the most complex aspect of the P2P system. As such it is very convenient to design this aspect of the system to be reusable by a wide variety of protocols.

### 3.4 Firewalls

Many nodes on the Internet today are behind a firewall or a network address translation (NAT) device. Such nodes present a challenge to P2P systems as it can be difficult for them to become connected to the network and to each other. As we discussed in Section 3.3, the BruNet connection process involves two steps: sending the connection request followed by the linking protocol.

When at least one node is not behind a NAT or a firewall, our standard connection protocol will result in the nodes forming a connection between them. Since our connection protocol involves first contacting the target over the BruNet network to exchange transport address information, both the target and the source have enough information to contact the other. So as long as one of the two parties is not behind a firewall, the connection will take place normally.

When using UDP, our protocol allows two NATed and firewalled nodes to connect. As identified by the STUN protocol, there are four types of NAT in use today: full cone, restricted cone, port restricted code and symmetric. Like STUN protocol, we only deal with the first three cases, and not with the symmetric NAT. Of the first three cases, the port restricted cone is the most restricted; any protocol that works for the port restricted case works for the first two, so we describe how we deal with the port restricted cone NAT.

A port restricted cone NAT performs a mapping from an internal network \((IP_s, port_s)\) to an external \((IP_e, port_e)\) pair. Consider a packet that arrives at the NAT with destination \((IP_e, port_e)\) and source \((IP_s, port_s)\). The NAT will only pass this packet if the internal node \(IP_s\) has previously sent a packet with source \((IP_s, port_s)\) to \((IP_e, port_e)\). So, in order for two nodes which are both behind a NAT to communicate, both nodes have to have previously sent a packet to the other’s translated address. Fortunately, since our connec-
tion protocol involves routing the transport address information over the overlay, both nodes will get transport address information sufficient to contact the other. Assuming the both know their translated addresses, each will be send packets to the other’s translated addresses. If the NATs are not symmetric, they will pass packets all packets after the first. Our linking protocol involves using retries with back-off, thus the nodes will be able to send the necessary packets to open the connection through the NAT. The only issue that remains is how nodes learn their translated transport address. As covered in Section 3.3, part of our protocol is for each node to echo the transport address information it sees to its peer during connection. This allows each node to learn its translated address assuming it can make at least one leaf connection to a node which is not behind a NAT.

Our approach uses the same facts about common NAT devices as the STUN protocol except we use the P2P network instead of a central server to share the translated IP information.

3.5 Routing and Connection Management

Most P2P systems will have a great deal of overlap in the concepts we have discussed above, however significant differences will emerge when it comes to routing of packets and the management of connections to peers. In the BruNet architecture, both routing and connection management are handled by components.

To implement a new protocol, most of the existing BruNet system is reused, but a new router object must be defined and associated with the address class that will be used for that protocol. Additionally, each P2P protocol may have different rules for maintaining connections to peers including joining and leaving, which we discuss in Sections 4.1 and 4.2 respectively.

We use class-0 addresses for this protocol. Thus, each node in the network can take one of $2^{159}$ structured addresses. We interpret these addresses as even 160-bit integers in the range $[0, 2^{160} - 2]$ with this address space forming a ring. By convention, we say that the ring increases in the clockwise direction.

4 An Implementation of Symphony

In the previous section we discussed the architecture of the BruNet P2P framework. In this section we describe our implementation of the Symphony 1-D small-world system. To implement a particular P2P system, we need to describe the routing and connection management, including joining and leaving, which we discuss in Sections 4.1 and 4.2 respectively.

4.1 Small World Routing

The theory that supports structured routing comes from works on routable small-worlds [1, 2]. However, we introduce novel practical routing algorithms, which make network maintenance a natural consequence of those routing algorithms. As we discuss in Section 3.1, each node has an address that can be interpreted as a coordinate on a ring. As such, there is directionality (e.g. clockwise and counterclockwise). There are two mechanisms for routing on this structure: destination based and direction based.

In direction based routing, we use fixed addresses (class-124) to refer to “clockwise” and “counterclockwise”. When the packet’s HOPS equal its TTL, the packet is delivered. By setting the TTL, a node can then communicate with its near-neighbors on the ring. This might have interesting applications for caching in DHT systems. Nodes maintain connections to at least two nearest nodes to them in both directions. This direction based routing is what enables a node to find its near-neighbors in order to connect to them.

Destination based routing is slightly more complex. This mode of routing refers to the case where one node wants to address a second node by that second node’s class-0 address, not based on its relative position on the ring. The simplest approach would be to route to the neighbor node which is closest to the destination, never routing to a node that is further. This routing type is described in Algorithm 1. Clearly there can be no loops since each packet must get closer to the destination at

\[ \text{Algorithm 1} \]

\[ \text{if randomly selected addresses, the network size will have to be } \approx 2^{79} \text{ nodes before we are likely to reuse an address} \]
Algorithm 1 GreedyNextHop(v, source, target): This algorithm describes how a packet arriving at v from source takes its next hop towards the target using greedy mode. Each hop tries to get closer (without visiting source) to target. The adjacency list of node v is denoted Adj[v], and the distance between two nodes (a, b) in the network is DISTring(a, b).

\[ d_{min} \leftarrow \text{DISTring}(v, \text{target}) \]
\[ u_{min} \leftarrow v \]

for all \( u \in \text{Adj}[v] \) do
    \[ d_{tmp} \leftarrow \text{DISTring}(u, \text{target}) \]
    if \( d_{tmp} < d_{min} \) then
        \[ d_{min} \leftarrow d_{tmp} \]
        \[ u_{min} \leftarrow u \]
    end if
end for

if \( u_{min} \neq v \) or \( u_{min} \neq \text{source} \) then
    Deliver to \( u_{min} \)
else
    This is the last hop. Deliver locally to v.
end if

Algorithm 2 ExactNextHop(v, source, target): This algorithm describes how a packet arriving at v from source takes its next hop towards the target using exact mode. Each hop tries to get closer (without visiting source) to target. The packet is delivered only to the target and no other node. The adjacency list of node v is denoted Adj[v], and the distance between two nodes (a, b) in the network is DISTring(a, b).

\[ d_{min} \leftarrow \text{DISTring}(v, \text{target}) \]
\[ u_{min} \leftarrow v \]

if \( v = \text{target} \) then
    This is the last hop. Deliver locally to v.
else
    for all \( u \in \text{Adj}[v] \) do
        \[ d_{tmp} \leftarrow \text{DISTring}(u, \text{target}) \]
        if \( d_{tmp} < d_{min} \) then
            \[ d_{min} \leftarrow d_{tmp} \]
            \[ u_{min} \leftarrow u \]
        end if
    end for
    if \( u_{min} \neq v \) or \( u_{min} \neq \text{source} \) then
        Deliver to \( u_{min} \)
    end if
end if

Algorithm 3 AnnealingNextHop(v, source, target): This algorithm describes how a packet arriving at v from source takes its next hop towards the target using annealing mode. Each hop tries to get closer (without visiting source) to target unless that is not possible in which case the packet is delivered to v and sent to the next closest node. The adjacency list of node v is denoted Adj[v], and the distance between two nodes (a, b) in the network is DISTring(a, b).

\[ d_{min} \leftarrow \text{DISTring}(v, \text{target}) \]
\[ d_{sec} \leftarrow d_{min} \]
\[ u_{min} \leftarrow v \]
\[ u_{sec} \leftarrow v \]

for all \( u \in \text{Adj}[v] \) do
    \[ d_{tmp} \leftarrow \text{DISTring}(u, \text{target}) \]
    if \( d_{min} \leq d_{tmp} < d_{sec} \) then
        \[ d_{sec} \leftarrow d_{tmp} \]
        \[ u_{sec} \leftarrow u \]
    else if \( d_{tmp} < d_{min} \) then
        \[ d_{sec} \leftarrow d_{min} \]
        \[ u_{sec} \leftarrow u_{min} \]
        \[ d_{min} \leftarrow d_{tmp} \]
        \[ u_{min} \leftarrow u \]
    end if
end for

if \( u_{min} \neq v \) or \( u_{min} \neq \text{source} \) then
    Deliver to \( u_{min} \)
else
    Deliver to v.
    Deliver to \( u_{sec} \)
end if
4.2 Joining the Small-World

In order for a node to join the ring, it makes use of Routing Algorithm 3: annealing routing. The annealing routing tolerates some disorder in the network. Every node that joins the ring must have a 160-bit class-0 address. This address must be randomly-generated to ensure the near uniform distribution of addresses on the ring; thus class-0 address are obtained by using a secure hash algorithm or some other source of random bits. After a node has a class-0 address it must find its place in the ring. This means that it needs to make a connection to the closest node on both the right and left of its own address. Since the new node is not yet connected to the correct place in the ring it is not yet able to route messages using the routing algorithms described above. The new node instead makes use of a node that is correctly placed in the ring as a proxy in order to find its place. The new node creates a special type of bootstrapping connection that does not support any of the routing algorithms above but does provide for packets to be sent to the node on the other end of the connection. This bootstrapping connection allows the new node to communicate with the proxy in order to send and receive messages while it is waiting to find its place in the ring. The proxy sends a request to connect to the new address which is not yet in the network. Given the new node’s absence, the closest node on the right and the closest node on left of the new node will form connections to the new joining node. At this point the new node is at the correct location in the ring and can add additional neighbors and shortcut connections as needed. Algorithm 4 shows this process.

Connection is not an instantaneous process. Our implementation uses two round trips: a link request and response, and a status request and response. The link messages exchange the node addresses, the IP addresses and port numbers, and whether the connection is a near-neighbor connection or shortcut connection. The status message allows the nodes to communicate some of their properties to their neighbors. In particular, the status message shares the node address and IP information of other nodes which are close to the new neighbor. This information allows nodes to verify that their views of the network are consistent and make repairs.

In addition to neighbor connections, every node must also maintain k shortcut connections to other nodes that are far away in the address space. Specifically, the distances traveled by all the shortcut connections in the structured ring must follow a probability distribution function (pdf) of the following form: $p(d) \propto 1/d$, where $d$ denotes the distance traveled by the shortcut connection [2, 3]. We use the local density of addresses to estimate network size and thus $d_{ave}$, the average distance between nodes. Then, we choose a random distance $d$ between $d_{ave}$ and $d_{max} = 2^{160}$ with probability proportional to $1/d$ and connect to the node closest to that address using Routing Algorithm 1 (greedy routing). The method we use to select a proper distance is to define a random variable $x$ distributed uniformly over $[0, 1]$, and set:

$$d = d_{ave} \left( \frac{d_{max}}{d_{ave}} \right)^x.$$

From the above, we see that:

$$\text{Prob}(d \leq L) = \text{Prob} \left( x \leq \frac{\log L/d_{ave}}{\log d_{max}/d_{ave}} \right)$$

which is clearly the CDF for the random variable $d$ to be distributed proportional to $1/d$ over $(d_{ave}, d_{max})$. This is repeated $k$ times. The total cost in packets to join the network is $O(\log^2 N)$, since we need to send $O(k)$ packets and each packet requires $O(1/k \log^2 N)$ hops.

5 PlanetLab Experiments

This section describes the results of the reliability tests of the BruNet software. All of the experimental results on our implementation are performed using the global PlanetLab test-bed. PlanetLab provides a realistic, WAN environment to test distributed applications. In fact, PlanetLab nodes are often highly loaded and represent a very challenging test environment.

5.1 Experimental Methodology

PlanetLab gives access to around 400 computers that are located in many countries around the world. There are dozens of research projects running simultaneously on the scarce computational resources provided by PlanetLab. As a result, PlanetLab provides a measure of application performance on very adverse computational and traffic load conditions. For the experiments presented in
this section, around 100 PlanetLab machines were employed.

The current implementation is in C# using the Mono development platform. In order to minimize memory and other computational resource usage on PlanetLab machines, we run multiple nodes inside a single Mono runtime process. As a result, many nodes can reside on a single machine. However, each node is executed on a separate thread and maintains its own connections and data. Furthermore since class-0 addresses are assigned randomly, nodes that reside on the same physical machine are unlikely to be close to each other on the address space. We note that the UDP transport is used for all experiments presented in this section.

In our experiments, we wish to see that the structure of the network is correct, that the system can indeed route packets, and that the system is robust to node arrivals and failures. We analyze the logs of our experiments with a software tool which shares no code with the BruNet system itself. The metric we use to measure the robustness of the network is routability. Routability of the network defined as the fraction of pairs of nodes which can communicate using the standard (in this case greedy) routing algorithm.

5.2 Structure Verification

As discussed in Sections 3.1 and 4, all nodes are identified by a unique 160-bit addresses, which can be interpreted as integers; nodes are arranged in a ring, with the convention that the integer representation of the node addresses increase in the clockwise direction. Furthermore, our structured small-world routing network requires that each node keeps two neighbor connections to two closest class-0 address in the clockwise direction and counterclockwise direction. In other words, the structured ring is correct if and only if the following is true: every node has connections to its first and second class-0 neighbors on the clockwise and the counterclockwise directions in the address space.

We have successfully deployed a correct structured ring of size 1060 nodes on PlanetLab. It is difficult to see much in visualizations of such large graphs, however we present several figures for various sized networks in Figure 1 and Figures 9-11.

We verified the correctness of the shortcut distance distribution by conducting the following: After the deployment of a correct 1060-node structured ring, all the shortcut connection distances are extracted from the experiment logs. The cumulative distribution function (cdf) of the shortcut distances are plotted in Figure 2. Note that the experimental cdf curve is in good agreement with the expected curve: $CDF(d) \propto \log(d)$.

5.3 Churn

Nodes do not stay in a P2P network indefinitely. One of the most striking aspects of the P2P network paradigm is that we assume that nodes are fundamentally faulty and will join and leave a network unexpectedly. Any real system must deal with unexpected arrivals and departures, which is called churn.

A major question is: will a node complete the joining process correctly, in the presence of a slightly disordered network, before the node departs. There are two important time scales in the churn process: the mean round-trip-time (RTT) between the hosts at the IP layer, and the mean session time of the node. As the session time approaches the RTT, clearly the system will not work properly. Since each node requires two neighbor connections and at least one shortcut connection, the time required to establish the node will be much greater than the RTT.

In our experiment, we created a correct network of 980 nodes on PlanetLab. Once the network was correct, we then started the system churning for 25 minutes. Each second, with a fixed probability, every node abruptly goes offline, and then rejoins the network. This corresponds to an exponential distribution on session time.

Figure 3 shows the results of our experiment. We find that when mean session time is above 12 minutes, the system is more than 99% routable, however as mean session time decreases to 5.7 minutes, we find that the system becomes significantly more disordered with a routability of 84%. Further decreasing the mean session time causes the system to fall apart and tend to very low values of routability. Exactly how the system transitions...
from highly routable to non-routable is very interesting, but is left to a future work.

Our churn model is equivalent to Poisson arrival and departure processes: the number of nodes that depart in any interval is described by the Poisson distribution. Real systems do not exhibit Poissonian churn, but instead exhibit heavy-tailed distribution on session time: the median uptime is often low (a few minutes) but there are many nodes with very long uptime[?]. Simulations which have compared Poissonian churn to churn rates obtained from real P2P traces, have found that real traces are comparable to Poissonian churn with mean session times of around 100 minutes[?]. Thus, since our system can easily handle mean session times of 12 minutes, the system should perform very well in real environments with real loads.

We note that cost of joining the network for Symphony is $O(\log^2 N)$, and this cost comes into play when considering churn resistance. We believe that P2P systems with lower joining costs should be more churn resistant. For instance, in Viceroy[?] joins cost $O(\log N)$. Implementing Viceroy within our framework would not be difficult.

5.4 Massive Joins and Failures

One outstanding feature of this system is its ability to maintain a correct structure under diverse node dynamics including massive node insertions, massive node failures and even the merging of two formerly disconnected rings. In Figure 4 we observe that nearly every pair of nodes in the network can communicate using structured routing even under adverse conditions such as massive node joins and failures.

Given that the primary objective of the presented system is overlay routing, an important performance metric is the fraction of the pairs of nodes in the network that can communicate with each other; this is denoted as routability. To investigate how robust the system is to massive changes in network connectivity, we start with a completely routable, 460-node PlanetLab deployment and insert another 450 nodes into the network simultaneously. This experiment is depicted in Figure 4. Less than one minute after the massive join the fraction of the network that is mutually routable falls to 0.65. Within another minute the fraction rebounds to 0.90. Within 11 minutes of the massive join the entire 910-node network is routable.

A similar experiment was presented by Tapestry[?] where a 325-node Tapestry network experiences a 60% massive join bringing the network size to about 525 nodes. Prior to the massive join the routability was in the high 90% range but not 100% routable. Just after the join the routability falls below 0.70 and then rebounds to about 0.95 within 10 minutes. However even after 60 minutes Tapestry is still only about 95% routable. Thus the presented system exhibits good robustness compared to Tapestry under these failure conditions. It should be noted that Tapestry has published fault-correcting protocols[?] designed to improve robustness under these types of node dynamics. These additional protocols from Tapestry have been tested in a LAN cluster but apparently not in a WAN environment such as PlanetLab.

The system can also manage the merging of multiple disconnected structured rings into a single ring as seen in Figures 9-11. This merging experiment was conducted as followed: we deployed two separate networks of sizes 470 and 499 respectively on PlanetLab; each network was totally ignorant of the existence of the other network; after both networks have formed correct rings, we deployed a single node that was aware of nodes in both networks; as a result, the two previously disconnected rings were merged into a single ring of size 970. The time for the two correct rings to merge into a single large correct ring is approximately 7 minutes. Figures 5-8 show an example of how the merging dynamics works. The exchange of neighbor lists in the connection protocol causes the two rings to be sewn together analogously to zipping the two halves of a zipper together. Based on this zipping action it is clear that it will take $O(N)$ time for two rings to correctly merge if there is a single contact point between the rings.

As demonstrated by this ring merging experiment, networks that have become split due to catastrophic outages can easily join back together. These findings indicate that the network will recover gracefully after major infrastructure outages that fracture or disable large fractions of the underlying physical layer network.
Figure 4: The network is very robust during gradual joins, massive joins and massive failures of nodes. After abrupt changes in connectivity, the network structure heals back to a perfect ring very rapidly and achieves overwhelming percentage routability long before the ring is completely correct. This demonstrates the applicability of the system to highly dynamic applications. Moreover, from examining the bottommost figure, one can observe that the number of missing edges in the network decreases exponentially fast in time after the massive join of 450 nodes.

Figure 5: Two distinct routable rings denoted as Ring 1 and Ring 2 can be merged into a large routable ring. Here we depict Ring 1 merging with Ring 2.

Figure 6: "C" connects to "B" and "D", the two closest nodes on ring2. As a normal part of the connection protocol, "C" sends it neighbor lists to "B" and "D".

Figure 7: Based on the neighbor-list information obtained from "C" while connecting, "B" connects to "A" and "D" connects to "E".

Figure 8: The network is now correctly ordered but there are many more connections than are needed. Each node maintains $k$ connections to the closest neighbors on the right and left ($k = 1$ in this example). Each node will trim the excess connections until only the $k$ closest on each side remain.
6 Conclusion

We present a new software framework for implementing P2P protocols. We use this framework to present the first 1-D implementation of the Kleinberg routable small-world model. We have shown that the C# implementation produces networks that have the required topological structure to provide scalable structured small-world routing. The system is also very robust in the presence of large node dynamics including massive joins, massive failures, disconnected ring merges and churn. Given that this system is intended to provide overlay routing over heterogeneous physical layers and transport protocols, this robustness is critical to enabling reliable overlay applications.

We anticipate that this framework will be valuable to other researchers to allow them to implement new P2P routing and connection management protocols, without the need to reimplement solutions to common problems of node handshaking, packet sending and receiving, and abstraction of underlying transports, such as UDP and TCP. Future work will including using this framework to implement unstructured P2P protocols along with structured P2P protocols.
CCDF(k) vs k

- $(\gamma - 1) = -1.76$
- $(\gamma - 1) = -1.32$
- $(\gamma - 1) = -0.91$
Structured Subgraph

Unstructured Subgraph