Looking at the bright side – The story of AA Dor ⋆ as revealed by its cool companion

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Received DD MM 2015 / Accepted

1 Introduction

The booming research field of hot-subdwarf stars has been enriching our knowledge on very broad and diverse fields of astrophysics, all the way from stellar evolution and asteroseismology to planet findings (see Heber et al. 1984; Sa[309] for a review). However, these unique stellar laboratories offer further opportunities. As a significant fraction of hot subdwarfs are found in binaries (Martí et al. 2001; Napierz et al. 2004; Morales-Rueda et al. 2006; Copperwheat et al. 2011), they present a superb stellar population to study binary evolution. In fact, the leading formation channels for these stars involve, in one way or another, binary evolution processes (Han et al. 2002; 2003).

More than 100 binary hot subdwarfs have been found in short-period systems with periods ranging from a few hours to several days, with companions being either white-dwarf (WD) or a low mass M-dwarf stars (dM) (Kawka et al. 2015). Such short-period systems must have formed through binary mass transfer followed by common-envelope ejection (CEE). Due to their extremely thin (< 0.02 M⊙) and hence inert hydrogen envelope the subdwarfs evolve directly into WDs, bypassing the asymptotic giant branch (AGB) and planetary nebula (PN) phases (Heber et al. 1984; Saffer et al. 1994). As the shortest period hot subdwarf + dM systems will evolve into cataclysmic variables (CVs) in less than a Hubble time, they are important for understanding the pre-CV evolution, with an observational advantage over the CV systems since their binary components are not hiding in the glare of an accretion disk. Hence, the short-period hot subdwarf binaries represent an important progenitor channel of CVs. In fact, Shenkel (2010) postulate that the CVs below the period gap are the product of post-subdwarf binary evolution. On the other hand, the hot subdwarfs with massive WD companions are potential progenitors of Type Ia supernovae (see Iben & Tutukov 1984; Webbink 1984, and for the most recent candidates see Geier et al. 2013; Vennes et al. 2013). Therefore, they are an important ingredient for understanding Type Ia supernovae.
Establishing the accurate masses of both components of post-common-envelope binaries (PCEBs) is the only empirical way to constrain the efficiency parameters of the CEE phase. Furthermore, detailed investigation of hot subdwarf binaries is crucial in order to determine their masses for comparison with their theoretically proposed evolutionary channels as well as to test the binary-population synthesis models. However, most of the hot subdwarf binary systems with known orbital periods are single-lined spectroscopic binaries, making it impossible to reliably determine the absolute masses of their components. Among the PCEBs there are 15 eclipsing binary systems found to date comprised of a hot subdwarf primary (sdO or sdB star) and a low mass secondary, either a late dM or a brown dwarf (BD) (for the most recent discoveries see Schaffenroth et al. 2013 Barlow et al. 2013; Schaffenroth et al. 2014, 2015). Such eclipsing systems are known as HW-Vir-type binaries after the prototype. In addition to eclipses HW-Vir systems are notorious for having a very strong ‘reflection effect’. This reflection effect, characteristic for all close binaries comprising a very hot primary and much cooler secondary, is due to the high contrast in the temperatures between the heated and unheated hemisphere of the secondary star. As the secondaries in these systems are supposed to be orbiting synchronously, one side of the cool secondary star is constantly being irradiated by the strong ultraviolet (UV) flux of the hot-subdwarf primary. The light-curve solutions of HW-Vir-type systems imply that the temperature of the cool companion around the substellar point is increased up to 10000 – 20 000 K (Hilditch et al. 2003, Kiss et al. 2000). However, the detection of spectral features from the irradiated secondary in HW-Vir-type systems is hampered by the contamination from the much hotter subdwarf primary.

Recently, the eclipsing PCEBs gained even more attention based on the fact that nearly all systems with accurate eclipse-timing measurements having long enough data sets are found to show apparent orbital-period changes (Kilkenny 2014) that might indicate the presence of circumbinary planets (see Beuzemann et al. 2010, 2012a, b for the most convincing cases). The claims of circumbinary planets in short-period sdB+dm/BD systems as well as various planets in close orbits around single subdwarf B stars (Silvotti et al. 2007; Charpinet et al. 2011) show that planets not only may survive through the CE evolution, but also that they might play an important role in the formation of hot subdwarf stars (Barr & Sokol 2011, Sokol 1998). Whether a planet in a PCEB system has survived the CEE or has been formed out of the ejected envelope (so-called second-generation planet, see Zorotovic & Schreiber 2013) remains a question that current observations are just about starting to tackle. The nature of such substellar objects can be addressed through the analysis of their irradiated light, which in turn gives their masses.

Interestingly, Kilkenny (2014) showed that AA Dor has stable orbital period to the level of 10^{-14} d per orbit based on 33 years of primary eclipse timings, which was recently confirmed by analysing multi-year observations from the SuperWASP archive (Lohr et al. 2014). This makes AA Dor a unique eclipsing subdwarf PCEB system as all other HW-Vir-type systems measured with sufficient accuracy show semi-periodic variations in the eclipse timings.

In this paper we present a detailed study of the strong irradiation effect in AA Dor, a bona fide member of the HW-Vir-type systems, in which the irradiated light from the super-heated face of the secondary was first detected by Vučković et al. (2008), and recently confirmed by Hoyer et al. (2015).

2. The tale of AA Dor

Ever since Kilkenny & Hill (1975) first reported the variations in the lightcurve of AA Dor (also known as LB 3459), a blue star in the foreground of the Large Magellanic Cloud never ceased to draw the attention. Even though the AA Dor system is one of the most studied short-orbit subdwarf systems, the controversy over the nature of its components still remains. The discussion on the evolutionary status of AA Dor started soon after the discovery with the works of Paczynski &Dearborn (1980) and Kudritzki et al. (1982) who more-or-less agreed on the two most likely possibilities: that AA Dor is either a helium WD with a mass of about 0.3 Msun or a carbon-oxygen WD with a mass of 0.55 Msun with a degenerate red-dwarf companion with a mass of 0.04 Msun and 0.07 Msun respectively. However, these early speculations were disputed by Kilkenny et al. (1981) and Hilditch & Kilkenny (1980) who proposed a new evolutionary model with a mass ratio near 0.1 and a primary of 0.5 Msun with a 0.07 Msun secondary, concluding that the primary is a subdwarf O star.

Determined to reveal the true nature of its companion, the first high-resolution (R = 46 890) time-resolved spectra of AA Dor were collected by Rauch & Werner (2003). The data set revealed the expected Rossiter–McLaughlin (RM) effect (Rossiter 1924) but it was not used to refine the parameters.

The strong reflection effect seen in the lightcurve implies that the secondary component is strongly heated, however, many attempts to detect spectral features of the secondary star in AA Dor failed, e.g. Hilditch et al. (1996), Rauch & Werner (2003). This inevitably makes it impossible to derive the absolute sizes of stars in this system, and so the speculation of the masses of the stars in AA Dor continued. In a single lined binary system only the mass function can be determined, and one is forced to make sound assumptions on the mass of one star in order to determine the absolute sizes of both stars. As the derived surface gravity and effective temperature of the primary fall into the extended horizontal branch (EHB) region, where the hot subdwarf stars reside, the sound assumption would be that the primary mass is the canonical mass of a hot subdwarf star. This was done by Hilditch et al. (2003), who imposed the 0.5Msun for the hot subdwarf primary and from there derived a mass of the secondary of 0.09 Msun, which agrees with an M-dwarf with a surface temperature of about 2000 K. However, there is another group of stars that crosses the EHB region of the H-R diagram on their way to the WD graveyard; the post-red giant branch (RGB) stars. These stars have been formed by extreme mass loss on the RGB before they could ignite helium. Due to this extreme mass loss they cannot reach the density required for the core helium flash, and evolve directly into low-mass WDs (Driebe et al. 1998). By comparing the location of AA Dor as derived from their high-resolution optical and UV spectra, with the evolutionary tracks for post-RGB stars Rauch & Werner (2003) assumed a mass of 0.33 Msun for the AA Dor primary, which consequently gave a correspondingly lower mass for the secondary component of 0.066 Msun below the substellar limit (Baraffe et al. 2015).

Since AA Dor is one of the few systems where accurate mass determination is possible, these numbers are actively used to constrain evolutionary models (Zorotovic et al. 2010). With the aim to search for signatures of the irradiated secondary star, which would in turn provide us with the accurate masses of the AA Dor system, Vučković et al. (2008) re-analysed the VLT/UVES data set of Rauch & Werner (2003) discovering more than 20 emission lines originating from the heated side of the secondary. Based on a lower limit of the radial velocity of the
irradiated object \cite{2008A&A...483..557V} made a first estimate of the masses of AA Dor components which were consistent with a regular EHB primary and a low-mass M-dwarf secondary, contrary to the results of \cite{2003A&A...405.1045R}.

Refining the non-LTE models and including the proper treatment of the irradiation \cite{2011MNRAS.412..797K} re-analysed their VLT/UVES data set and found a full agreement with the photometric model of \cite{2003MNRAS.342..798H}. This solved, once and for all, the long-lasting log g problem. The mass they found for the primary, by comparing their spectroscopic solution to the evolutionary tracks of \cite{1993A&A...272..293D}, rules out the secondary in the hydrogen burning mass limit, i.e. either a brown dwarf or a late M-dwarf star.

While we were finalising this paper one more article was published on the same star. Armed with fresh XSHOOTER phase-dependent spectroscopy \cite{2015ApJ...806...17H} combine their FUSE \cite{2008Ap&SS.311....1F} and UVES \cite{2003A&A...405.1045R} data to yet again search for the signatures of the low mass secondary in the AA Dor system. They identified 57 emission lines of the secondary star in the UVES spectra, and 53 spectral lines in the XSHOOTER spectra. Out of these they used 22 lines (14 from UVES data, 7 from XSHOOTER UVB arm and 1 from XSHOOTER VIS arm) to measure the orbital center-of-light velocity of the secondary star. Assuming that the centre of gravity of the measured irradiated light is dominated by a region lying towards the primary star they estimated the radial velocity semi-amplitude of the secondary to be $232.9^{+6.5}_{-5.6}$ km/s and correspondingly derive the masses of the both stars in AA Dor $M_1 = 0.475^{+0.075}_{-0.085}$ $M_\odot$ and $M_2 = 0.081^{+0.018}_{-0.016}$ $M_\odot$ which are in full agreement with their previous result \cite{2011MNRAS.412..797K} as well as with the results of \cite{2008A&A...483..557V}.

### 3. Wiggles and wriggles in the velocities

While examining the orbit-subtracted radial-velocity (RV) residuals in the UVES spectra of NY Vir \cite{2007A&A...465..115V} noticed an apparent distortion at orbital phases around the secondary eclipse. As this feature occurs right where the contribution from the irradiated side of the secondary star is at its maximum it could therefore be an artifact of the reflected light or a fingerprint of the heated face of the secondary. Due to complexities caused by the pulsating primary of the NY Vir system and the low S/N of this particular data set, \cite{2007A&A...465..115V} were not able to analyse this effect any further. Motivated by this intriguing finding we then decided to search for spectra of a similar system in which such a feature could emerge. The high S/N time-resolved UVES spectra of AA Dor obtained by \cite{2003A&A...405.1045R} were ideal for this purpose. We retrieved this data set from the ESO archive and reduced them using the standard ESO CPL\footnote{CPL stands for Common Pipeline Library} routines. While the individual spectra are of good quality with a typical S/N of the order of 50 per wavelength bin, the known problem with the imperfect echelle order merging\footnote{For a proper merging of the adjacent echelle orders, the blaze function has to be corrected. Unfortunately, in the standard UVES pipeline reduction, the blaze function is estimated from a flat-field exposure, which is obviously not able to properly correct the blaze function.} is causing ripples in the wings of Balmer lines and the continuum level. As this is potentially fatal for our analysis and there was no way around it, we devoted special attention when normalising the spectra.

We performed a half-automatised, two step normalisation of each spectrum, following the procedure of \cite{2012MNRAS.425..573P}. All spectra were brought to the same flux level by dividing with their median intensity and we defined a master function (using the first spectrum) with cubic splines which was fitted to the continuum at fixed wavelength points known to be free of spectral lines. We then used this function to clean all spectra from large-scale artificial features, e.g. the wiggles in the continuum caused by imperfect flat-fielding. The careful selection of these nodal points enabled us to construct a function which does not distort the shape (and especially the wings) of the Balmer lines. To correct for small-scale effects and any remaining global trend of an instrumental origin, we carried out a second normalisation using many more nodal points, which were connected by lines at this phase. The wavelengths of these points were the same for all spectra, but the normalising function was constructed for each of them based on the local flux levels, instead of applying a master function again. Using lines at this step enabled us to leave the shape of wide features – like the Balmer-wings – untouched (by placing only one nodal point to the beginning and the end of such regions), but still make small-scale corrections (by using a denser nodal point distribution where it was needed). The described process is much faster, less subjective, and provides better consistency than a one-by-one manual normalisation.

The sdO primary of the AA Dor system has a richer spectrum compared with the spectrum of the sdB primary in the NY Vir system. In addition to the broad Balmer absorption lines the sdO star displays a strong He ii line as well as several clear metal lines which we used to measure the RV of the primary at different orbital phases. We calculated the RVs by fitting a single Gaussian to each of the He and metal lines, while multi-Gaussians were fitted to the broad Balmer lines, following the procedure explained in \cite{2003MNRAS.340.1172M}. The depth of the He ii line and the Balmer lines were kept as free parameters in our fits, while the depth of the metal lines were fixed.

![Fig. 1. The orbit subtracted RV residuals of the primary with their corresponding errors. Top panel is for the 3 Balmer lines H$_\alpha$, H$_\beta$, and H$_\gamma$ lines. Middle panel is for the metal lines O III at 5007 Å, Si IV at 4088.86 Å and 4116 Å and Mg II at 4481.23 Å and the bottom panel for HeII at 4685.79 Å.](image-url)

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\cite{2003MNRAS.340.1172M}
Fig. 2. The grayscale plot (lower-left panel) shows the phase folded spectra in the region around $H\gamma$, after shifting to the rest frame of the primary and subtracting the mean spectrum (upper-right panel) computed from the least contaminated phases. After shifting to the rest frame of the secondary and summing all phases, the emission profile of the secondary emerges (upper-left panel). Summing each phase-binned spectrum in a window 20 Å wide, and centered on $H\gamma$ in the rest frame of the secondary, produces the phase profile shown in the lower-right panel.

at their average value. In this way we obtained the RVs of the Balmer lines from $H\beta$ to $H\eta$, of the He ii line at 4685.79 Å and of several metal lines, like O iii at 3759.87 Å, Si iv at 4088.86 Å and Mg ii at 4481.23 Å. To each of these sets of RV measurements we fitted a sine function locked in phase to the well-known ephemeris of the system (Kilkenny 2014), leaving only the RV amplitude, $K_{sdO}$, and the systemic velocity, $\gamma$, as free parameters. The results from these sine fits to the three sets of RV measurements are given in Table 1. The residual RVs that remain after subtracting the respective sine functions are plotted in Fig. 1 as a function of orbital phase, $\varphi$, where the zero phase is defined to correspond to the primary eclipse. In addition to the well known Rossiter-McLaughlin (RM) effect, first reported in these spectra by Rauch & Werner (2003), we clearly see a broad distortion feature appearing in the Balmer lines just around the secondary eclipse ($\varphi = 0.5$), whereas it is not present in any of the metal lines nor in the He ii line. The fact that it appears only in the Balmer lines and not in the He ii nor in the metal lines of the sdO star is a clear indication that this distortion is caused by the phase-dependent contamination of the Balmer lines by the corresponding lines present in the light from the irradiated hemisphere of the secondary star.

4. Signatures from the hot side

After carefully reprocessing and normalising the UVES spectra as described in the previous section, we proceeded by computing a mean spectrum of the primary taken from phases close to the primary eclipse, but avoiding those affected by the eclipse. The mean spectrum was constructed from nine individual spectra occurring at phases, $\varphi = 0.03 – 0.08$, just before and after the primary eclipse when the cold side of the secondary is facing us.

The spectra were shifted by

$$v_{sdO} = K_{sdO} \sin(2\pi\varphi)$$

before averaging. The upper-right panel of Fig 2 shows the mean spectrum around the $H\gamma$ line. Each of the 105 individual spectra were then cleaned from the contribution of the sdO primary by subtracting the mean spectrum shifted according to Equation 1. The residual spectra around the $H\gamma$ line are shown in the lower-left panel of Fig 2. The trailed residuals clearly show a very fast moving profile that changes velocity in antiphase with the primary and has a maximum intensity just before and after $\varphi = 0.5$ (secondary eclipse). Superimposed on the red wing of the $H\gamma$ profile there are a number of sharp emission features that all can be identified with O iii lines. Shifting by a velocity of $K_{irr} \approx 222$ km/s (see Section 4.1) and summing the contribution between $\varphi = 0.23 - 0.47$ produces the spectrum shown in the upper-left panel of Fig 2. The lower-right panel of Fig 2 shows

| Spectrum     | $K_{sdO}$ [km/s] | $\gamma$ [km/s] |
|--------------|------------------|-----------------|
| Balmer lines | -41.81 ± 0.22    | -0.88 ± 0.16    |
| He ii 4686   | -39.64 ± 0.18    | +1.00 ± 0.15    |
| 3 metal lines| -39.63 ± 0.21    | +0.97 ± 0.13    |
| Adopted      | -39.63 ± 0.21    | +0.97 ± 0.13    |
the phase profile of this line, which is the total flux per phase bin in a 10 Å window centered on the emission profile of each spectrum.

The full emission-line spectrum of the secondary component is given in Fig. 4. The arrows indicate the lines we have identified, while thick arrows indicate those that were used in our radial-velocity analysis. All the Balmer lines from $H\beta$ to $H\delta$ are clearly visible and marked with labeled arrows in the figure. $H\beta$ to $H\gamma$ appear to have profiles with reversed cores. As Barman et al. (2004) explained, these reversed core profiles are produced by departures from local thermodynamic equilibrium (LTE) in layers above where the underlying emission line forms.

In Table A.1 we provide a list of all the metal lines that originate from the irradiated face of the secondary component that we could identify in the emission line spectrum. We list peak intensity and equivalent width for each of the 22 metal lines that we have retained for use in the further analysis.

4.1. Emission line profiles

The phase profile of the emission lines is essentially the light curve of the irradiated star. As can be seen from the lower-right panel of Fig. 4 it shows a total eclipse at $\varphi = 0.5$ and has a minimum that coincides with the primary eclipse.

Phase profiles for the strongest Balmer lines (computed as for $H\gamma$ in the lower-right panel of Fig. 4) are shown in Fig. 4 as well as for the sum of all seven lines in the upper-right panel. The shape of the phase profiles provides information on the size of the emission region on the heated hemisphere of the secondary. There are no significant differences between the different Balmer lines, so we use the sum of the seven lines to analyse the phase dependence of the light from the irradiated side of the companion. It can be seen that the hot spot must cover almost the entire hemisphere of the secondary since it only reaches zero intensity immediately before and after the primary eclipse ($\varphi = 0$).

In order to quantify this effect and determine the relationship between the radial velocity measured from the irradiated hemisphere, the center-of-light velocity, $K_{\text{irr}}$ and the velocity of the center of mass of the secondary, $K_2$, we must compute some simple geometrical models. In Section 4.2 below we compare the integrated Balmer-line profile with these models. While the Balmer-line profiles are very broad in velocity space, the metal line profiles are sharp enough to resolve the rotational profile of the irradiated star in velocity. We summed up the metal line profiles as we did for the Balmer lines. They show the same profiles in phase space, but with a much less signal than the Balmer-line profiles. In velocity space, however, they reveal some even more interesting features.

The sharpness of the metal-line profiles makes them well suited for determining the centre-of-light velocity, $K_{\text{irr}}$. To enhance the signal as much as possible, we used the theoretical central wavelengths of the 22 strongest lines (see Table A.1) and added them up in velocity space. The resulting velocity/phase image is shown in the left panel of Fig. 5. In order to find the optimum value for $K_{\text{irr}}$, we shifted the spectra by a range of velocities in steps of 0.5 km/s, and computed the integrated intensity for the 22 lines in a 0.1 Å window. The maximum intensity is then found for 222.5 km/s. Fitting a parabola to the central 10 km/s around the maximum of the peak intensity profile gives the value we adopt for the center-of-light velocity, $K_{\text{irr}} = 222.76 \pm 0.07$ km/s.

The second to the left panel of Fig. 5 shows the same spectra as in the left panel, after shifting these according to the centre-of-light velocity, $K_{\text{irr}}$. Scrutinising this image we notice some deviations from a linear symmetry. The profile appears to be skewed towards a higher velocity (away from the observer) after the final quadrature point $\varphi = 0.75$ and towards a lower velocity (towards the observer) before the first quadrature. This effect can be readily understood from geometry. When the hot spot rotates into view after primary eclipse it first appears on the side that rotates towards us, and so has a negative radial velocity. We only see a complete rotationally broadened line profile when the spot is completely in view, just before and after secondary eclipse. As the hot spot rotates back onto the far side, the dark side produces a self-eclipse effect that reveals itself as a progressive dimming of the approaching side of the line profile. The last two right hand panels of Fig. 5 show a model line profile based on the stellar radii derived by Hilditch et al. (2003) and our radial velocity measurements, see Table 1. The third panel shows a model line broadened by a 10 km/s Gaussian kernel while the unbroadened one is presented in the fourth panel. It is clear that the model reproduces all the distortion features seen in the observed integrated line profile. The figure also visualises why the measured $K_{\text{irr}}$ must be less than the true centre-of-mass velocity $K_2$, since the self-eclipse effect always darkens the line-profile on the side that has the highest velocity in the restframe picture.

Another asymmetry feature that emerges in the emission-line profile is the direction of the eclipse of the hot spot in velocity space during secondary eclipse (best seen at the very top of the right panel in Fig. 5). At the beginning of secondary eclipse, at $\varphi = 0.48$, we can see that the negative part of the emission profile is obscured, as the primary must cover the side of the secondary that is rotating towards us (negative direction) before it reaches the half that rotates away from the line of sight. At $\varphi = 0.52$ the opposite occurs as the side that is rotating towards us emerges before the receding side. This is of course the equivalent of the RM effect for the hot spot on the irradiated secondary.

4.2. Determining $K_{\text{BM}}$

In order to simulate the spectroscopic features of an irradiated star that are geometrical in origin, we computed some simple numerical models. In addition to the line-profile models shown in the previous section we computed phase profiles for several different configurations. The models consist of two bodies with the appropriate dimensions, in a circular eclipsing orbit using the parameters for the AA Dor system as determined by Hilditch et al. (2003). The surface of one body is taken to be dark (the primary), and the other one is dark except for a circular patch with variable radius centered on the axis between the two bodies. In the simplest models we use a straight cutoff radius at a fraction of the radius of the star, while in the ‘final’ model we tapered the intensity of the light towards the edge of the star so that the brightness of each point was proportional to the area of the irradiating star that is visible above the horizon for that point at a given orbital phase. The phase profiles produced by the simulation were normalised so that they peak at unity just before the start of the eclipse. The resulting phase profiles for a hot-spot radius of 50, 75, 90, 95 and 100% are shown in Fig. 6, together with the ‘final’ model and the integrated Balmer-line phase profile (from the upper-right panel of Fig. 4). Clearly, a hot spot that covers 75% or less of the irradiated hemisphere disappears behind the rim of the companion around $\varphi = (\pm 0.35)$, much sooner than in the observed profiles. Only profiles of a hot spot covering between 95 and 100% of the irradiated hemisphere are compatible with the observations. The ‘final’ model seems to fit perfectly at phases close to primary eclipse, and not so well closer.
Fig. 3. Emission line spectrum of the secondary. This figure was generated in the same way as for the top left panel of Fig. 2, but for the full spectroscopic range. Lines used in our analysis are marked with thick arrows, and weaker lines with possible identifications listed in Table A.1 are marked with thin arrows. (In the on-line version the color coding on the arrows identifies their species; Balmer lines: red, O II: blue, C II and C III: green, He I: cyan, N II: purple, Si III: black, Mg II: gray.)

to secondary eclipse. But note that since there is some arbitrariness regarding the normalisation especially of the peak level at $\varphi = -0.5$, and also the continuum level close to $\varphi = 0$, the apparent precision of the fit may be deceiving.

From the irradiated-light models we can also compute the difference between the the center-of-light velocity and the center-of-mass velocity. For a simple hot spot with a radius of 0.975, we find $K_{irr} = 0.956 K_2$. For the ‘final’ model we can use the same procedure that we used to derive $K_{irr}$ from the observational data. We take the line-profile model shown in the right-hand panel of Fig. 5 and reintroduce a velocity on the order of $K_{irr}$, after which we locate the velocity shift that produces the maximum intensity of a narrow window across the line. We find that the measured velocity is 0.957 times that introduced to the geometrical model. However, if we use the model profile subjected to Gaussian broadening, we get a slightly smaller reduction factor; 0.963. We take the latter value as the most likely value for the correction factor, $K_{irr}/K_2$. The error on this number is not easy to quantify. From the differences between a sharp and broadened model we estimating it to be on the order of 0.3% and conclude that the center-of-mass velocity for the secondary is

$$K_2 = \frac{K_{irr}}{0.963 \pm 0.003} = 231.3 \pm 0.7 \text{ km/s.}$$

(2)

This results in a mass ratio

$$q = \frac{K_2}{K_{sdO}} = 0.171 \pm 0.001.$$  

(3)

The masses for the two components then follow,

$$M_{sdO} = 1.036 \cdot 10^{-7} \left(\frac{K_2}{\sin i}\right)^3 (q + 1)^2 P = 0.46 \pm 0.01 M_\odot$$

$$M_2 = q M_{sdO} = 0.079 \pm 0.002 M_\odot$$

implying a canonical mass for the hot subdwarf and a mass just at the substellar limit for the companion (Baraffe et al. 2015).
Fig. 4. Phase profiles for all the Balmer lines produced in the same way as for \( \text{H}\gamma \) in the lower-right panel of Fig. 2, and the sum of all 7 Balmer lines (upper-right panel).

Fig. 5. Grayscale plot of the sum of all the metal lines in the rest frame of the system (left) and shifted to the rest frame of the secondary (middle). The last two panels show a geometrical model line profile for comparison, with the first having been subjected to a Gaussian broadening.

5. Modelling the spectrum of the irradiated secondary

Irradiation effects are strong in close, HW-Vir-like subdwarf binaries with cool companions. In non-eclipsing binaries the reflection effect usually completely dominates the light curve. In the AA Dor system the primary is a hot sdO subdwarf, and hence the companion is subjected to a more extreme UV irradiation. Light curve modelling codes like the Wilson-Devinney variants (e.g. Wilson & Devinney 1971) or PHOEBE (Degroote et al. 2013) assume that the flux variation is due to reflection off the surface of the secondary or they include some form of energy redistribution on the companion. While this approach can be conveniently parametrised with only a few parameters and gives a very good quantitative description of the light curve, it does not provide the physical conditions in the atmosphere of the com-
To fully understand the evolution of close binaries we must investigate the reflection effect. By understanding the radiative interactions between the members of close binaries we can derive accurate surface parameters and better interpret their high precision photometric data, such as the *Kepler* eclipsing binary light curves (Prša et al. 2011). This methodology will eventually lead to the characterisation of non-transiting exoplanets based on spectral models and measured reflection light curves.

To model the effects of irradiation and reproduce both the spectral variations and the reflection effect in the light curve of AA Dor we followed the description on the geometry of eclipsing binaries developed by Günther & Wawrzyn (2011) and Wawrzyn et al. (2009). This model provides the visible fractions of equally irradiated zones on the companion as a function of orbital phase. For compatibility with Günther & Wawrzyn (2011) we adopted the same spherical coordinate system with the origin at the center of the secondary star and the z-axis intersecting the center of the primary. The z-axis intersects the surface of the companion at the substellar point, where irradiation is the strongest. Constant latitudes \( \theta \) on the secondary (measured from the z-axis) receive the same amount of incident flux in this model. For simplicity we calculated our spectral model for the orbital phase of maximum intensity \( (\varphi = 0.23 - 0.77) \) to match the phase coverage of the extracted spectrum. We used three zones that cover the area between \( \theta = 0 - 20^\circ, 20 - 50^\circ \) and \( 50 - 90^\circ \) on the surface of the companion. The size of the irradiated surface is determined by the relative radii of the stars and the semi-major axis of the system. The twilight zone (transition region between the day and night sides) is less irradiated by the primary; here we scaled the dilution factor by the relative visible area of the disk of the primary. The night side does not contribute to the spectrum in this model. Next, we calculated plane-parallel irradiated non-LTE model atmospheres with *Tlusty* (Hubeny & Lanz 1995) and synthetic spectra with *Synspec* (Lanz & Hubeny 2007), and reproduced the spectrum of the companion with a superposition of the irradiated concentric zones. The synthetic spectra of each zone were co-added with relative weights: 0.08, 0.37 and 0.55, that corresponds to the inclination of 89.21° and considers the phase-integrated contributions of the zones between \( \varphi = 0.23 - 0.77 \). All our models were calculated with opacity sampling with H, He and CNO composition and model atoms taken from the *Tlusty* web page. We assumed that the irradiating flux is black-body like with \( T_{\text{eff}} = 42 000 \text{K} \) (Klepp & Rauch 2011). The dilution factor describes the irradiation efficiency, that is, the fraction of the ir-
radiating flux absorbed by the companion. The dilution factor differs in our model from the geometric dilution factor (Mihalas 1978) as it depends on several other parameters as well. It is affected by the system geometry, the irradiation angle as well as the spectral properties of the irradiating source. In our analysis, therefore, the dilution factor is a free parameter that includes other poorly constrained or degenerate parameters. The effective temperature of the irradiated layers in similar systems are reported to be in the range of 13 000 – 15 000 K (e.g. HW Vir, \( T_{\text{eff}} = 28 000 \) K, [Kiss et al. 2000]), which our models reproduce with a dilution factor of 0.021. From the relative radii and distance of the stars the geometric dilution factor is 0.006 at the substellar point. However, probably due to departures of the UV sdO spectrum from a black-body spectrum, the best model fit required a higher dilution factor of 0.06 in the \(\theta = 0 \sim 20^\circ\) zone. In the subsequent zones we used 0.049 and 0.021, which were scaled with \(\cos \theta\). Further details of the geometry can be found in Günther & Wawrzyn (2011).

The model presented here is our first attempt to reproduce the spectrum of the companion, therefore several simplifying approximations have been made. The spectral model does not include a magnetic field, spots and clouds, and molecular opacities. We also neglected convection. While low mass stars are fully convective, this approximation is valid for the bright side where irradiation suppresses convection (Podsiadlowski 1991). Both stars are assumed to be spherical in a circular orbit. Our model does not include any horizontal energy transport that would distribute energy from the substellar point towards the night side. Although such a meridional flow is plausible at strong irradiation and would explain the homogeneity of the irradiated hemisphere (Beer & Podsiadlowski 2002), the current UVES observations are not suitable for such a study.

We fit the observed spectra in Figure 5 with our iterative steepest-descent spectral fitting procedure XTom (Németh et al. 2012). The structure of the irradiated atmosphere of the secondary star in AA Dor resembles to an inverted B type star, and therefore it can be modelled with the same techniques as hot stars. Based on the observed radius \(R = 0.11 R_\odot\), if the companion is a red dwarf its night side temperature is \(\sim 2400\) K, if it is below the hydrogen burning limit the temperature may be as low as \(\sim 1700\) K (Dieterich et al. 2014). Therefore we fixed the effective temperature of the secondary at \(T = 2000\) K and the surface gravity had a starting value of \(\log g = 5.25\) cm s\(^{-2}\), that is consistent with the photometric value (Hilditch et al. 2003). The gravity, abundances and the dilution factor were adjusted iteratively for the substellar point and the dilution factor was scaled geometrically in the subsequent zones. We assumed a homogeneous abundance distribution in the atmosphere and adjusted the abundances globally for the entire irradiated hemisphere. We calculated three model atmospheres to the different irradiation zones and their corresponding synthetic spectra in every iteration. The zonal spectra have been normalised, weighted and co-added and the final spectrum shifted to the data as shown in Figure 7. Our fit was based on the Balmer and metal emission lines, which explains the virtually negative flux in the figure. Data points, such as the Balmer line self-absorption cores and far line wings, where the synthetic spectrum reaches negative values (below the continuum level) were taken out of the chi-square calculation by the fit procedure. We applied a 20 km s\(^{-1}\) rotational broadening to approximate the smearing caused by the assumed tidally locked rotation of the companion and extraction of the spectrum in velocity space. The rotational broadening profile is symmetric only near the secondary eclipse. We found that, while a single irradiation zone with different dilution factors and system geometries can reproduce parts of the spectrum, only a multi-zone model could address the majority of the features simultaneously. We conclude, in agreement with Günther & Wawrzyn (2011), that a single temperature model cannot reproduce the spectrum of the irradiated hemisphere in detail, even though Figure 6 suggests that the hot spot is largely uniform and covers the entire inner hemisphere of the secondary. The models are very insensitive to the effective temperature of the companion, but the Balmer lines are sensitive to the surface gravity and the dilution factor. This result is not surprising because the atmospheric temperature structure is dominated by the irradiation that penetrates below the observed photosphere. The Balmer profiles are broad and shallow in the substellar point and become narrower and stronger toward the terminator, therefore the line profiles depend also on the geometry and surface integration, which makes a precise surface gravity determination complicated. We found surface gravities in the range of \(\log g = 5.05 \sim 5.45\) cm s\(^{-2}\) in the three zones. The surface gravity of the companion can be precisely estimated in eclipsing binaries from the orbital parameters (Southworth et al. 2004). Using the results of Hilditch et al. 2003 and the radial velocity amplitude derived in Section 4, we found \(\log g = 5.276 \pm 0.002\) cm s\(^{-2}\), although this method does not take irradiation effects into account. The surface weak absorption in the wings of Balmer lines indicate that the surface gravity may depend on the distance from the substellar point, which needs further investigations.

The parameters of our best fit model are listed in Table 2. Based on the measured CNO abundances we estimate the metallicity of the secondary to be \([M/H] = -0.7\) dex. This metallicity is surprisingly high and most likely not reflecting the primordial metallicity of the companion. The C and O rich, N depleted abundance pattern resembles the sdO primary (Fleig et al. 2008). Accretion from a radiatively driven optically thin wind of the sdO (Krtička & Kubát 2010) is a plausible reason for the observed high metallicity and needs further investigations. The
consistent metal and Balmer line radial velocities exclude a circumstellar origin of the metal lines.

**Table 2.** Atmospheric parameters of the irradiated M dwarf in AA Dor. Surface abundances are also listed with respect to the solar abundances (Asplund et al. 2009).

| Parameter | Zone 1 20° | Zone 2 20° < θ < 70° | Zone 3 70° < θ |
|-----------|-----------|---------------------|----------------|
| \(T_{\text{eff}}\) (K) day side | 19200 | 18300 | 14300 |
| Dilution factor | 0.060 | 0.049 | 0.021 |
| \(T_{\text{eff}}\) (K) night side | 2000 ± 500 | 2000 ± 500 | 2000 ± 500 |
| log g (cm s\(^{-2}\)) | 5.25 ± 0.25 | 5.25 ± 0.25 | 5.25 ± 0.25 |
| \(F_{\text{DM}}/F_{\text{sdO}}\) (at 5000 Å, \(\varphi = 0.47\)) | 0.07 ± 0.02 | 0.07 ± 0.02 | 0.07 ± 0.02 |

Abundances | log(nX/nH) | + | - | × Solar |
|-----------|-----------|---|---|--------|
| He        | -1.69     | 0.88 | 0.38 | 0.24   |
| C         | -4.30     | 0.02 | 0.11 | 0.19   |
| N         | -4.89     | 0.06 | 0.04 | 0.19   |
| O         | -3.94     | 0.01 | 0.03 | 0.23   |

**Fig. 8.** Temperature structure of the atmosphere of the irradiated dM secondary star in the AA Dor system. The three irradiated zones for \(\theta = 10°, 35°\) and 80° are shown together with the structure of the unperturbed dM on the night side. The irradiated zones show several temperature inversion regions and an extension of the atmosphere. The photospheres are progressively higher and hotter toward the substellar point with respect to the dark side as indicated by the arrows at \(\tau_{\text{Ross}} = 0.66\).

From the spectral models the limb-darkening of the irradiated hemisphere can be evaluated numerically. The left panel of Figure 5 shows the limb-darkening of the three irradiated zones and of the sdO star for comparison. The actual surface flux distribution is not only function of the angle to the surface normal, but also depends on the orbital phase and distance from the substellar point. Therefore, we developed a model that allows us to use the specific intensities and surface integration in the phase profile calculation. With this model the total surface intensity of the visible part of the irradiated hemisphere can be calculated for an arbitrary orbital phase and the light curve of the secondary can be obtained. We used again the published photometric radii, inclination and semi-major axis of the system (Hilditch et al. 2003). The right panel of Figure 5 shows that the model reproduced the observed phase curve quite well. The model also reproduced the size of the spot, that can be inferred from the phase coverage of the reflection effect, in good agreement with the analysis in Section 4.2. The phase curve shows some extra flux between \(\varphi = 0.75 \pm 0.95\). We interpret this excess flux as the signature of an asymmetry in the hot spot due to a non-synchronous rotation of the companion with the orbit. The Roche potential of the companion does not suggest a notable deformation, but a small atmospheric expansion near the substellar point is likely due to irradiation. However, its effect on the phase curve must be negligible as an ellipsoidal-like variation would give a maximal contribution at \(\varphi = 0.25\), which is not obvious in Figure 5.

To overcome the limitations of our current models we will focus on three major improvements in the future: (1) replacing the black-body irradiation with the spectrum of the sdO star; (2) implementation of a more adjustable surface intensity distribution that will allow us to investigate the asymmetries of the hot spot and (3) improving the consistency between the spectral and light curve models with the help of optical-infrared photometry. A better consistency may also require more irradiation zones and opacity sources. Such a model will allow us to interpret high precision light curves and infer the conditions in the atmospheres of irradiated companions in faint reflection effect binaries where direct spectroscopy is not yet feasible. We will present our progress in a forthcoming publication.

**6. Discussion and summary**

We have reanalysed the UVES dataset of the AA Dor binary system, with particular attention to extracting orbital phase information from the emission lines of the irradiated secondary. We integrated the signal from the Balmer lines and 22 narrow emission lines, and were able to firmly establish that the emission region covers no less than 95% of the irradiated hemisphere. With this information we were able to accurately translate the observed
center-of-light velocity, $K_{\text{int}}$, into a precise center-of-mass velocity, $K_2$. With this final piece of the puzzle in place, we were able to finally establish the masses of the two components with very high precision. The new numbers are fully compatible with the results of [Hoyer et al. (2015)], but with error bars that are 5-10 times lower.

With radial velocities of the primary, $K_{\text{sdO}} = -39.63 \pm 0.21$ km/s and the secondary, $K_2 = 231.3 \pm 0.7$ km/s we get the mass for the primary, $M_{\text{sdO}} = 0.46 \pm 0.01 M_\odot$, and the secondary, $M_2 = 0.079 \pm 0.002 M_\odot$. These masses are in full agreement with [Klepp & Rauch (2011)] and [Hoyer et al. (2015)], confirming the hot subdwarf primary star and tightly confining the secondary to the hydrogen burning mass limit, i.e. either a brown dwarf or a late dM star (Baraffe et al. 2015).

To further study the nature of the secondary star in AA Dor, we need to obtain high-S/N near-infrared (NIR) spectra from both the cold and hot hemisphere. The recent attempt to obtain such data by [Hoyer et al. (2015)] was not successful as poor observing conditions prevented them from detecting any signal from the secondary in the NIR part of the XSHOOTER time-resolved data set. We strongly encourage repeating this attempt in excellent observing conditions.

Combining the 22 metal lines of the secondary to study the shape of the emission velocity profiles we detected two distinct asymmetry features. The velocity profiles appear skewed at the quadratures which, due to the pure geometrical effect, produces a sort of a self-eclipse. The asymmetry in the velocity profiles emerging at the secondary eclipse is caused by the rotation of the secondary and hence we termed it as the RM effect of the hot spot.

Furthermore, we have modelled the atmosphere of the secondary of AA Dor including the irradiation effects that matched the observed spectrum of the companion very well. Comparing the synthetic and observed spectra we confirmed the majority of the emission lines as listed in Table A.1. While the hot spot covers almost the entire inner hemisphere, a single temperature model fails to reproduce the observed irradiated spectrum indicating that, while there must be a very effective process distributing the energy over the irradiated hemisphere, the irradiated regions contribute differently to the spectrum of the companion. The irradiated zones show several temperature inversion regions and an extension of the atmosphere.

We developed a model that allows us to use a surface integration of the specific intensities in the phase profile calculation. With this model the total surface intensity of the visible part of the hot spot can be calculated for an arbitrary orbital phase and the light curve of the secondary can be obtained.

The observations of irradiated planets are indicative of the heat transport from the day-side to the night-side (Knutson et al. 2007), however, to understand the circulation patterns of hot Jupiters it is crucial to analyse the temperature inversion in the upper atmospheres. While we are witnessing the era of hot Jupiters and circumbinary planets around evolved binaries, AA Dor stands as a bona fide system to understand the radiation transport in the extreme conditions of irradiated substellar objects.

Acknowledgements. We thank Cedric Ledoux for helpful discussions on UVES data reduction. We thank Tom Marsh for the use of his spectrum analysis program R0L1y. This research was based on observations collected at the European Southern Observatory, (Chile) Program ID: 066.D-1800. This research has made use of SIMBAD database, operated at the CDS (Strasbourg, France) and NASA Astrophysics Data System. Bibliographic Services.

References

Asplund, M., Grevesse, N., Sauval, A. J., & Scott, P. 2009, ARA&A, 47, 481
Baraffe, I., Homeier, D., Allard, F., & Chabrier, G. 2015, A&A, 577, A42
Barlow, B. N., Kilkenny, D., Drechsel, H., et al. 2013, MNRAS, 430, 22
Barnes, T. S., Hauschildt, P. H., & Allard, F. 2004, ApJ, 614, 338
Bear, E. & Soker, N. 2011, MNRAS, 414, 1788
Beer, M. E. & Podsadiłowski, P. 2002, in Astronomical Society of the Pacific Conference Series, Vol. 279, Exotic Stars as Challenges to Evolution, ed. C. A. Tout & W. van Hamme, 253
Beuermann, K., Breitenstein, P., Debski, B., et al. 2012a, A&A, 540, A8
Beuermann, K., Dreizler, S., Hessman, F. V., & Deller, J. 2012b, A&A, 543, A138
Beuermann, K., Hessman, F. V., Dreizler, S., et al. 2010, A&A, 521, L60
Burrows, A., Hubeny, I., Budaj, J., & Hubbard, W. B. 2007, ApJ, 661, 502
Charpinet, S., Fontaine, G., Brassard, P., et al. 2011, Nature, 480, 496
Copperwheat, C. M., Morales-Rueda, L., Marsh, T. R., Maxted, P. F. L., & Heber, U. 2011, MNRAS, 415, 1381

Fig. 9. Left: Specific intensities for the sdO star and for the three irradiated zones on the M dwarf. Note, we use a logarithmic scale on the abscissa to better represent the center to edge variations of the specific intensities, $\mu$ is the cosine of the polar angle (between the line of sight and the surface normal at a given point on the companion) that takes the value 1 in the disk center and 0 on the edge. There is only a little difference between the substellar zone (No. 1) and the intermediate zone (No. 2), but the terminator zone (No. 3) is substantially fainter. Each zone shows a moderate brightening towards the limb. Right: Effects of limb-darkening on the phase profile. The three zone LUSTY model provides only a marginally better fit than a flat surface intensity distribution of the companion.
Appendix A: Emission lines from the secondary star

Table A.1 gives a list of all emission lines from the secondary star of the AA Dor system we detected in the UVES spectra. Note that only the first 22 lines were used in the analysis.

Table A.1. List of emission features from the secondary.

| Ion   | Wavelength [Å] | Peak EW [mÅ] |
|-------|----------------|--------------|
| C ii  | 3920.68        | 0.01051      |
| O ii  | 3954.37        | 0.00891      |
| O ii  | 4069.75        | 0.01272      |
| O ii  | 4072.16        | 0.01288      |
| O ii  | 4075.87        | 0.01579      |
| O ii  | 4089.29        | 0.00893      |
| O ii  | 4119.22        | 0.01426      |
| O ii  | 4153.30        | 0.00746      |
| O ii  | 4189.79        | 0.00917      |
| C ii  | 4267.10        | 0.02787      |
| O ii  | 4414.91        | 0.02147      |
| O ii  | 4416.97        | 0.01617      |
| O ii  | 4590.97        | 0.01206      |
| O ii  | 4596.17        | 0.00883      |
| O ii  | 4641.81        | 0.01402      |
| C iii | 4647.40        | 0.01114      |
| O ii  | 4649.14        | 0.01387      |
| O ii  | 4661.64        | 0.00951      |
| O ii  | 4676.23        | 0.00984      |
| O ii  | 4699.21        | 0.00951      |
| O ii  | 4705.35        | 0.01355      |
| O ii  | 4943.06        | 0.01050      |

Lines detected, but not used in the analysis

He i  (3819.61+3819.76, 3867.48+3867.63, 3871.82, 3935.91, 3964.73, 4026.19+4026.36, 4120.81, 4143.76, 4168.97, 4387.93, 4471.69, 4713.14+4713.37, 4921.929
Si iii 3806.56, 4552.65, 4567.87
Ca ii  3933.66
Mg ii  4481.13
N ii  3994.99, 3998.69, 4035.09, 4432.74, 4447.03, 4552.54
C ii  (3876.05+3876.19+3876.41), 3918.98 (4411.20+4411.52)
C iii  4647.40, 4650.16
O ii  3882.20, 3919.29, 3945.05, 3973.26, 3982.72, 4035.09, 4060.58, 4078.86, 4085.12, 4087.16, 4092.94, 4097.26, 4119.22, 4132.81, 4185.46, 4192.50, 4253.74+4253.98, 4275.52, 4303.82, 4317.14, 4319.63, 4342.00, 4342.83, 4343.36, 4344.42, 4345.56, 4347.42, 4349.43, 4351.27, 4353.60, 4366.90, 4369.28, 4378.41, 4395.95, 4448.21, 4452.38, 4466.32, 4609.42+4610.14, 4638.85, 4649.14, 4650.84, 4696.36, (4701.23+4701.76), 4703.18, 4710.04, 4906.88, 4924.60, 4941.12