Optimal hyperparameters for random forest to predict leakage current alarm on premises

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Abstract. While the number of private electrical facilities is increasing, there are not enough security personnel to perform the security work. In this paper, we propose a random forest model for predicting leakage current alarms in order to improve the efficiency of electrical safety operations. A random forest was created using periodic inspection data, alarm data, and meteorological data as explanatory variables, and generalization performance was evaluated by OOB-based F-measure. In order to obtain the highest performance, a grid search was performed to optimize the hyperparameters. As a result, it was possible to achieve alarm prediction with a certain level of performance. In addition, the optimal hyperparameters were found by grid search, and the F-measure was improved.

1 Introduction

As the number of private electrical facilities increases, the maintenance has become important. The maintenance must be performed by qualified security personnel, but the amount of the workforce is gradually becoming insufficient. According to the Japanese Ministry of Economy, Trade and Industry, about 4,000 people are expected to be short of the expected demand of about 18,000 people in 2030. For this reason, it is important to increase the efficiency of electrical security operations.

In order to improve the efficiency of electrical security operations, we focused on “false alarms”. When the insulation monitoring device installed in each electrical facility detects a leakage current exceeding a certain value, an alarm is issued and the security personnel goes to the site for inspection. However, there are cases where the cause is unknown or only minor defects are found. This is “false alarm” and causes a reduction in the efficiency.

We aim to suppress unnecessary dispatch caused by “false alarms” by predicting alarms using Random Forest (RF). RF is one of the most popular Machine Learning methods. The applications of RF, for examples, solar power forecast [1], electricity price forecast [2], building energy prediction [3, 4], and fault diagnosis for PV arrays [5]. The authors have conducted the prediction model with random forest [6, 7]. In this paper, we conducted a grid search to find the most suitable hyperparameters for accurate prediction.

2 Electrical security and insulation monitoring

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installed between the transformer and the electric facility. Fig. 1 shows an insulation alarms and the accident response work flow. The insulation monitoring device measures the current flowing into and out of the electric facility. Then, the leakage current is detected by calculating the difference. When the insulation monitoring device detects a leakage current exceeding 50 mA, an alarm is issued and the data is sent to the security service backbone system. Based on the data, security personnel go to the site and conduct a temporary inspection.

3 Random forest model

3.1. Random forest

Fig. 2 shows Random Forest consists of a large number of classification trees that are created with sets recursively applying two-conditional branching rules. The prediction is determined by classifying the data with the classification trees and taking the majority of them.

In this paper, the random forest model was implemented in Python scikit-learn package [8]. We used the periodic inspection data and alarm data provided by Kanto Electrical Safety Inspection Association (Fig 3) and the weather data released by the Japan Meteorological Agency. The target period is two years from April 2016 to March 2018, and the target areas are Ibaraki, Chiba, Tochigi, Gunma, Yamanashi, Saitama, Tokyo, Kanagawa and Eastern Shizuoka. Table 1 shows the objective variables and explanatory variables. These data were compiled and data containing defects were removed. As a result, the total was 338,933 data.

3.2. Grid search

To find the optimal hyperparameters for the random forest, a grid search was performed. The hyperparameters targeted for grid search are shown below [8].

(a) $n_{\text{estimators}}$
   The number of decision trees contained in a random forest. The default is 100.
(b) $\text{max\_depth}$
   The maximum depth of each decision tree. The default is None which means that classification is done until all nodes are pure or the number of samples in a node is a fixed number.
(c) $\text{max\_leaf\_nodes}$
   The maximum number of leaf nodes created as a result of decision tree classification. The default is None which means that there is no limit on the number of leaf nodes.
(d) $\text{max\_features}$
   The maximum number of features used when creating each split. The default is “auto” which means that if the total number of the features is $N$, the maximum number of features used is $\sqrt{N}$. Other options include "sqrt" ($\sqrt{N}$, same as "auto"), "log2" ($\log_2 N$), and None ($N$).
recall rate is an index that shows how well the
+ recall rate.

The performance of each decision tree is evaluated by
+ performance. These instances are called OOB instances.

In order to evaluate the generalization performance
+ generalization performance of the
+ instances. The performance of each decision tree is evaluated by
+ instances, and the generalization performance of the
+ random forest is evaluated by averaging them [9].

In this study, we evaluated the accuracy, precision,
+ results obtained by OOB verification. First,
+ prediction results are counted according to the
+ following classification.

\[ \text{Accuracy} = \frac{TP + TN}{TP + TN + FP + FN} \]  

The precision rate is an index that shows how well the
+ samples predicted to be positive match the actual value.

\[ \text{Precision} = \frac{TP}{TP + FP} \]  

The recall rate is an index that shows how well the
+ samples that are actually positive match the predicted value.

\[ \text{Recall} = \frac{TP}{TP + FN} \]  

The F-measure is the harmonic mean of precision and recall.

\[ F_1 = \frac{2 \times \text{Precision} \times \text{Recall}}{\text{Precision} + \text{Recall}} \]  

### 3.3. Evaluation index

In order to evaluate the generalization performance
+ random forest, OOB verification was performed. When
+ decision tree in a random forest, the training
+ instance is sampled using bootstrap. This means that
+ about 37% of training instances are not sampled in each
decision tree. These instances are called OOB instances.

The performance of each decision tree is evaluated by
+ and the generalization performance of the
+ random forest is evaluated by averaging them [9].

In this study, we evaluated the accuracy, precision,
+ prediction results are counted according to the
+ following classification.

- TP : Positive in prediction, Positive in actual
- FP : Positive in prediction, Negative in actual
- TN : Negative in prediction, Negative in actual
- FN : Negative in prediction, Positive in actual

The accuracy rate is an index that shows how well the
+ overall prediction results match the actual values, and
+ calculated by the following equation.

\[ \text{Accuracy} = \frac{TP + TN}{TP + TN + FP + FN} \]  

The precision rate is an index that shows how well the
+ samples predicted to be positive match the actual value.

\[ \text{Precision} = \frac{TP}{TP + FP} \]  

The recall rate is an index that shows how well the
+ samples that are actually positive match the predicted value.

\[ \text{Recall} = \frac{TP}{TP + FN} \]  

The F-measure is the harmonic mean of precision and recall.

\[ F_1 = \frac{2 \times \text{Precision} \times \text{Recall}}{\text{Precision} + \text{Recall}} \]  

### 4 Results

Table 3 shows the best and the worst results of alarm
+ prediction. The best F-measure in this experiment is recorded when
+ is 550, max_depth is 10, max_leaf_nodes is 1000, and max_features is "sqrt". Conversely, the worst F-measure is recorded when
+ is 500, max_depth is 2, max_leaf_nodes is None, and max_features is "sqrt". In comparison, accuracy and precision are almost equal, but recall is improved by about 7.3%, and F-measure is improved by about 4.2%.

Table 4 shows the all results of alarm prediction on
grid search point. In order to compare the prediction accuracy, the vertical axis of the graph uses the F-measure obtained by OOB verification.

Focusing on n_estimators, the highest F-measure is recorded when 550 is set, and the F-measure decreases when n_estimators is increased or decreased. In addition, for certain n_estimators, the maximum value of the F-measure is higher when max_features is "sqrt" than when None. However, it can be seen that the effect on the F-measure is relatively smaller than other hyperparameters.

Focusing on max_depth, the F-measure is often the maximum when it is set to 10, and decreases both when it is made larger and smaller. Among the parameters verified in this experiment, the effect on the F-measure is
the largest, indicating that the difference between the maximum and minimum values is about 4%.

Focusing on \( \text{max}\_\text{leaf\_nodes} \), when \( \text{max}\_\text{features} \) is "sqrt", F-measure tends to improve when there are less restrictions such as large numbers or None. On the other hand, when \( \text{max}\_\text{features} \) is None, the F-measure did not improve even if the restriction was relaxed.

Focusing on \( \text{max}\_\text{features} \), in the case of "sqrt", the F-measure changes greatly depending on \( \text{max}\_\text{depth} \), and the F-measure improves as \( \text{max}\_\text{leaf\_nodes} \) increases. On the other hand, when \( \text{max}\_\text{features} \) is None, the change in F-measure due to \( \text{max}\_\text{depth} \) is slightly small, and a large value of \( \text{max}\_\text{leaf\_nodes} \) does not necessarily improve the F-measure. When comparing with the same \( \text{n}\_\text{estimators} \), the maximum value of the F-measure is higher for "sqrt" than for None.

## 5 Conclusion

We made a prediction model of the leakage current alarm for the next day using a random forest and optimized the hyperparameters by grid search. The highest score was recorded when \( \text{n}\_\text{estimators} \),

| n_estimators | \( \text{max}\_\text{features} \)  | \( \text{max}\_\text{leaf\_nodes} = 100 \) | \( \text{max}\_\text{leaf\_nodes} = 500 \) | \( \text{max}\_\text{leaf\_nodes} = 1000 \) | \( \text{max}\_\text{leaf\_nodes} = 2000 \) | \( \text{max}\_\text{leaf\_nodes} = 5000 \) | \( \text{max}\_\text{leaf\_nodes} = \text{None} \) |
|--------------|-------------------------------|--------------------------------|--------------------------------|--------------------------------|--------------------------------|--------------------------------|--------------------------------|
| 100          | "sqrt"                        | ![Graph](image1.png)          | ![Graph](image2.png)          | ![Graph](image3.png)          | ![Graph](image4.png)          | ![Graph](image5.png)          | ![Graph](image6.png)          |
| 500          | "sqrt"                        | ![Graph](image7.png)          | ![Graph](image8.png)          | ![Graph](image9.png)          | ![Graph](image10.png)         | ![Graph](image11.png)         | ![Graph](image12.png)         |
| 550          | "sqrt"                        | ![Graph](image13.png)         | ![Graph](image14.png)         | ![Graph](image15.png)         | ![Graph](image16.png)         | ![Graph](image17.png)         | ![Graph](image18.png)         |
| 600          | "sqrt"                        | ![Graph](image19.png)         | ![Graph](image20.png)         | ![Graph](image21.png)         | ![Graph](image22.png)         | ![Graph](image23.png)         | ![Graph](image24.png)         |

| n_estimators | \( \text{max}\_\text{features} \)  | \( \text{max}\_\text{leaf\_nodes} = 100 \) | \( \text{max}\_\text{leaf\_nodes} = 500 \) | \( \text{max}\_\text{leaf\_nodes} = 1000 \) | \( \text{max}\_\text{leaf\_nodes} = 2000 \) | \( \text{max}\_\text{leaf\_nodes} = 5000 \) | \( \text{max}\_\text{leaf\_nodes} = \text{None} \) |
|--------------|-------------------------------|--------------------------------|--------------------------------|--------------------------------|--------------------------------|--------------------------------|--------------------------------|
| 100          | None                          | ![Graph](image25.png)         | ![Graph](image26.png)         | ![Graph](image27.png)         | ![Graph](image28.png)         | ![Graph](image29.png)         | ![Graph](image30.png)         |
| 500          | None                          | ![Graph](image31.png)         | ![Graph](image32.png)         | ![Graph](image33.png)         | ![Graph](image34.png)         | ![Graph](image35.png)         | ![Graph](image36.png)         |
| 550          | None                          | ![Graph](image37.png)         | ![Graph](image38.png)         | ![Graph](image39.png)         | ![Graph](image40.png)         | ![Graph](image41.png)         | ![Graph](image42.png)         |
| 600          | None                          | ![Graph](image43.png)         | ![Graph](image44.png)         | ![Graph](image45.png)         | ![Graph](image46.png)         | ![Graph](image47.png)         | ![Graph](image48.png)         |
max_depth, max_leaf_nodes, and max_features were 550, 10, 100, and “sqrt”. The recall was improved to 0.61462 and F-measure recorded 0.62407. According to Eqn. (3), recall means that how well the prediction matches when the alarm actually issue. Recall’s improve will reduce missing the alarm.

In this study, we predicted leakage current alarms in order to improve the efficiency of the security work for the increasing number of private electrical facilities. In addition, it can be expected that predicting the severity of alarms, that is, how serious failure has occurred, will lead to further improvement in the efficiency of electrical safety operations. In order to predict the severity of alarms, we will conduct verification such as creating a random forest with multiple labels for the objective variable.

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