THE DENSITY OF MID-SIZED KUIPER BELT OBJECT 2002 UX25 AND THE FORMATION OF THE DWARF PLANETS

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ABSTRACT

The formation of the largest objects in the Kuiper belt, with measured densities of \( \sim 1.5 \text{ g cm}^{-3} \) and higher, from the coagulation of small bodies, with measured densities below \( 1 \text{ g cm}^{-3} \), is difficult to explain without invoking significant porosity in the smallest objects. If such porosity does occur, measured densities should begin to increase at the size at which significant porosity is no longer supported. Among the asteroids, this transition occurs for diameters larger than \( \sim 350 \) km. In the Kuiper belt, no density measurements have been made between \( \sim 350 \) km and \( \sim 850 \) km, the diameter range where porosities might first begin to drop. Objects in this range could provide key tests of the rock fraction of small Kuiper belt objects (KBOs). Here we report the orbital characterization, mass, and density determination of the 2002 UX25 system in the Kuiper belt. For this object, with a diameter of \( \sim 650 \) km, we find a density of \( 0.82 \pm 0.11 \text{ g cm}^{-3} \), making it the largest solid known object in the solar system with a measured density below that of pure water ice. We argue that the porosity of this object is unlikely to be above \( \sim 20\% \), suggesting a low rock fraction. If the currently measured densities of KBOs are a fair representation of the sample as a whole, creating \( \sim 1000 \) km and larger KBOs with rock mass fractions of \( 70\% \) and higher from coagulation of small objects with rock fractions as low as those inferred from 2002 UX25 is difficult.

Key words: Kuiper belt: general – Kuiper belt objects: individual (2002 UX25) – planets and satellites: formation

1. INTRODUCTION

In standard accretionary scenarios for growth of objects in the Kuiper belt (i.e., Kenyon et al. 2008), the objects all form in regions of the nebula with similar physical characteristics and so should be composed of roughly similar amounts of rock and ice. It was surprising, therefore, to find that measured densities of Kuiper belt objects (KBOs) range from as low as \( 0.5 \text{ g cm}^{-3} \) to at least \( 2.6 \text{ g cm}^{-3} \) (Brown 2012).

A clear trend has emerged: the smaller objects have low densities, while larger objects have increasingly higher densities (Stansberry et al. 2006; Grundy et al. 2007; Vilenius et al. 2012; Fornasier et al. 2013). While larger objects often have higher densities due to pressure-induced phase changes, ice–rock bodies like these need to approach the size of Triton before this effect becomes significant (Lupo & Lewis 1979). A more likely culprit for the low densities of the small objects is porosity.

Nothing is known about the porosity of KBOs, but in the asteroid belt the average porosity for objects as large as \( \sim 350 \) km in diameter—the size of the small KBOs—has been calculated to be \( \sim 50\% \) (Baer et al. 2011), meaning that the compressed density of the object would be a factor of two higher than the measured density. Ice and rock compression experiments show that rock is capable of supporting much more porosity (Yasui & Arakawa 2009), so we regard asteroid porosities as a plausible upper limit to the porosities of icy KBOs. For this maximum porosity, the weighted average density for small KBOs of \( 0.6 \text{ g cm}^{-3} \) corresponds to porosity-free density of \( \sim 1.2 \text{ g cm}^{-3} \). Even for a high assumed porosity, these small KBOs have only about one third rock by mass. Simple coagulation of these rock-deficient objects will not lead to the much higher densities of the rock-rich dwarf planets.

With porosity the key unknown for small KBOs, an important clue to the formation of the dense dwarf planets would be the measurement of the densities of the smallest KBOs which are large enough to have had most of their porosity compressed out. Here we report the detection and orbital characterization of a satellite to the \( \sim 650 \) km diameter hot classical KBO 2002 UX25. This object is an order of magnitude more massive than the next largest KBO with a measured density. We consider the effects of porosity on 2002 UX25, and we use the density we calculate for this system to attempt to understand the formation mechanism of the dwarf planets.

2. THE ORBIT OF THE SATELLITE OF 2002 UX25

2.1. Hubble Space Telescope Observations

A satellite of 2002 UX25 was discovered in observations from the High Resolution Camera (HRC) of the Advanced Camera for Surveys of the Hubble Space Telescope (HST) on 2005 August 26. In order to determine the orbit of the satellite and the mass of the system, we obtained a series of six follow up observations a year later. For each observation we obtained eight exposures of 275 s during using the F606W filter.

The satellite is cleanly detected in four observations, undetected in two observations, and detected but blended with the primary in two observations (Figure 1). Astrometric positions of the satellite relative to 2002 UX25 were obtained following the method of (Brown et al. 2010), in which a five-times oversampled theoretical point-spread function (PSF) is constructed for the pixel location of 2002 UX25 using TinyTim (Kirst 1993), the HST PSF modeling software, and then the sub-pixel centers of 2002 UX25 and the satellite, the total flux of 2002 UX25 and the satellite, and the sky background are optimized using an iterative least-squares fit. We determine the uncertainties for each observation from the scatter of the positions measured in the eight individual images acquired within a single HST orbit. We often detect motion consistent with the satellite orbital velocity within single sets of observations. To be conservative, however, we assume that all deviation within one orbit is due only to measurement error. Even in the most blended observation, we obtain consistent measurements in all eight of the individual
The astrometric positions of the satellite are given in Table 1.

| Date (UT)       | R.A. Offset (mas) | Decl. Offset (mas) | Telescope/Instrument | Relative Brightness (%) |
|-----------------|-------------------|--------------------|----------------------|-------------------------|
| 2453609.15758   | 70.2 ± 0.3        | −146 ± 1           | HST/HRC              | 8.9 ± 0.5               |
| 2453939.30187   | ...               | ...                | ...                  | ...                     |
| 2453939.98322   | 22 ± 1            | −85 ± 1            | HST/HRC              | 6.7 ± 0.2               |
| 2453944.04838   | −23.0 ± 0.9       | 74 ± 2             | HST/HRC              | 7.3 ± 0.4               |
| 2453947.42261   | ...               | ...                | ...                  | ...                     |
| 2453958.34814   | 70.8 ± 0.5        | −143.4 ± 0.3       | HST/HRC              | 8.8 ± 0.2               |
| 2453965.20996   | 34.8 ± 0.8        | −105.7 ± 0.9       | HST/HRC              | 9.3 ± 0.2               |
| 2456268.78992   | 74 ± 3            | −133 ± 3           | Keck/NIRC2           | 7.3 ± 0.4               |

Table 1: Separation of 2002 UX25 and Its Satellite

We determined the quality of the correction by fitting a single two-dimensional Gaussian function at the position of the primary and calculating the average FWHM of the core. We then retained only the half of the data with a correction above the median value. These data were shifted to place the primary at a common position and then median-combined into six groups of five.

While the satellite is outside the core of the PSF, it is within the halo, which could affect measurements of its position. To accurately measure the position, we fit the primary and satellite with a PSF model that is the sum of two arbitrarily oriented two-dimensional Gaussian distributions. The residuals from these fits at the location of the satellite are nearly indistinguishable from background noise, thus the astrometric fits to the satellite position will no longer be affected by the halo of the primary PSF. As with the *HST* data, we determine the errors in the astrometric and photometric fits from the dispersion of the measures in the individual stacked frames (Table 1).

2.2. Keck Laser Guide Star Adaptive Optics Observations

The *HST* astrometric observations lead to a mirror ambiguity in the determination of the orbit pole (see below). For the 2002 UX25 system, breaking this ambiguity is particularly important; one orbital configuration would be undergoing current mutual events, while the other had its mutual event season before the satellite discovery. A single well placed astrometric point several years later could break this ambiguity. We obtained a single astrometric point using laser guide star adaptive optics (LGS AO) at the Keck Observatory (Wizinowich et al. 2006; van Dam et al. 2006) on 2012 December 7. Observations were scheduled for a night when 2002 UX25 passed within 35 arcseconds of an $R \sim 13.7$ star that could be used for tip-tilt correction. We obtained a total of 73 individual 2 minute integrations of the system using the NIRC2 camera with a 0.02 arcsec plate scale and the $K_s$ filter. Image FWHM measured on 2002 UX25 ranged from 70 to 110 mas, worse than the 45 mas theoretical diffraction limit of a 10 m telescope, but consistent with typical LGS AO performance with a moderate brightness off-axis tip-tilt star.

The satellite was visible in the best single 2 minute exposures and easily visible in all medianed stacks of five exposures (Figure 1). To accurately determine the astrometric position of the satellite, we first selected the images with the best LGS AO correction. We determined the quality of the correction by fitting a single two-dimensional Gaussian function at the position of the primary and calculating the average FWHM of the core. We then retained only the half of the data with a correction above the median value. These data were shifted to place the primary at a common position and then median-combined into six groups of five.

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2.3. Orbit Fits

It appears that the 2002 UX25 satellite is close to being in an edge-on orbit (Figure 2). Such an orbit is consistent with the two non-detections of the satellite in the *HST* data. We determine the best-fit orbit to the observations by using a Powell scheme to minimize the $\chi^2$ value of the residuals and find the optimal orbital parameters. We ignore the non-detections, and note that all good fits naturally place the non-detections too close to the primary to have been observed. Our elliptical orbit has free parameters of semimajor axis, orbital period, inclination, longitude of the ascending node, mean anomaly, longitude of perihelion, and angle of nodes. The best fit has a $\chi^2$ value of 2.97, or a reduced $\chi^2$ for 5 dof (six sets of $x$, $y$ coordinates minus seven orbital parameters) of 0.6, suggesting that the uncertainties have indeed been overestimated. Forcing a fit to the mirror image orbit, we find a $\chi^2$ value of 12.0, nearly four times higher than the best fit. As expected, the 2012 astrometry is the main discriminant between the two orbits. While the best fit orbit fits a position within 15 mas of the 2012 astrometric point, the mirror image orbit deviates by 92 mas, well outside
of the uncertainty of the observation (Figure 2). We conclude that we have resolved the mirror ambiguity and found the true orbital solution. The satellite plane crossed the line of sight to the earth and had mutual events in 2001. The next mutual event season does not occur until 2109.

The best-fit orbit has a moderate eccentricity of 0.17. Attempting a circular fit gives a best-fit $\chi^2$ of 56.5, or a reduced $\chi^2$ for 7 dof of 8.1, significantly higher than for the elliptical fit. We conclude that the orbit is indeed elliptical.

We explore the uncertainties on the eccentricity and the other parameters by integrating through phase space using a Markov Chain Monte Carlo (MCMC) scheme. We use the Python package emcee (Foreman-Mackey et al. 2012) which implements the Goodman & Weare (2010) affine invariant ensemble sampler for MCMC. We assign uniform priors on all parameters (with two parameters being "burn-in") period, which is discarded, of 10% of the total ensemble of 100 chains running 10^4 steps with a initialization value of 8%, it is plausible that 2002 UX25 and its satellite share the same surface characteristics and thus the same albedo.

Evolution of 2002 UX25

The eccentricity of 0.17 ± 0.03 appears unusual for such a large object with a close satellite. For the size of 2002 UX25 and its satellite, we can estimate a time scale for damping of eccentricity by tides of the satellite of

$$\tau = \frac{e}{\dot{e}} = \frac{4}{63} \frac{m_s}{m_p} \left(\frac{a}{r_s}\right)^5 \frac{\mu_s Q_s}{n},$$

where $m_s$ and $m_p$ are the satellite and primary masses, $a$ is the semimajor axis, $r_s$ is the radius of the satellite, $Q$ is the tidal quality factor, $n$ is the orbital angular frequency, and $\mu_s$ is the effective rigidity of the satellite, defined as

$$\mu_s = \frac{19\mu}{2p g r_s},$$

where $\mu$ is the material rigidity, $p$ is the satellite density, and $g$ is the satellite surface gravity (Murray & Dermott 2000). We find for 2002 UX25 an eccentricity damping time scale of $\sim$800 yr (Murray & Dermott 2000). The moderate eccentricity of the satellite of 2002 UX25, then appears a reasonable outcome if the formation mechanism yielded an initially eccentric orbit or if eccentricity excitation ever occurred in the past.

4. THE DENSITIES OF THE KUIPER BELT OBJECTS

We construct the size–density relationship for all objects with measured masses and sizes (Figure 3). We assume equal albedos and densities for all of the bodies in the system and derive the diameter and density of the primary object from the system mass and the measured effective diameter. System masses are taken from Rabinowitz et al. (2006), Buie et al. (2006), Brown

| Table 2 |
| Orbital Parameters |
|-------------------|
| Semimajor axis     | 4770 ± 40 km |
| Inclination        | 275.5 ± 0.3 |
| Period             | 8.3094 ± 0.0002 days |
| Eccentricity       | 0.17 ± 0.03 |
| Argument of perihelion | 254° ± 1° |
| Longitude of ascending node | 23° ± 0.3 |
| Time of pericenter passage | JD 2453976.94 ± 0.03 |
| Mass               | 1.25 ± 0.03 × 10^{20} kg |
| Heliocentric orbit–satellite orbit angle | 65° |

Note. * Relative to J2000 ecliptic.

![Figure 3. Densities of objects in and from the Kuiper belt. In most cases, the uncertainty in diameter is much larger than the uncertainty in mass, so the density–diameter uncertainty lies along a curved path. Quaoar has a larger mass uncertainty than most other objects, and its full uncertainty is show as a vertical error bar at the position of Quaoar. Two possible density–radius solutions are shown for Orcus, one where Orcus and its satellite Vanth have equal albedos (the less dense solution) and one where Vanth has a lower albedo more typical of smaller KBOs (the more dense solution).]
& Schaller (2007), Grundy et al. (2007), Grundy et al. (2008), Benecchi et al. (2010), Brown et al. (2010), Grundy et al. (2011), Grundy et al. (2012), Stansberry et al. (2012) and Fraser et al. (2013), while effective diameters are from Stansberry et al. (2008), Vilenius et al. (2012), Momment et al. (2012), Santos-Sanz et al. (2012), and Fornasier et al. (2013), with the combined Spitzer–Herschel results being used whenever available. For Orcus we derive densities for both the case where the albedos of the primary and satellite are assumed to be 23% (Fornasier et al. 2013) and for the case where the satellite has a more typical lower albedo of 5%, leading to a higher density for the system.

The low density of 2002 UX25 places strong constraints on any hypothesis proposed for the cause of the KBO size–density relationship. Objects of this size in the asteroid belt have porosities of ~20% and lower (Baer et al. 2011). In the Kuiper belt, porosities of objects this size should be lower; ice is more compressible at higher pressure (Yasui & Arakawa 2009), and much more compressible if the internal temperatures are elevated. Models of the internal structure of KBOs of this size range usually conclude that enough internal heating has occurred from radioactivity and accretional heating that liquid water is present at some point in the history of the object (see review by Prilnik et al. 2008). Bulk porosities, in that case, will be low.

While true porosities of cold icy large objects remain unmeasured, the analogies to stronger asteroids, laboratory experiments, and internal modeling all suggest that 2002 UX25 should not support significant bulk porosity. Assuming an upper limit of 20% for the porosity gives a compressed density of 2002 UX25 of close to 1 g cm$^{-3}$. Unless we have severely underestimated the porosity for this object, the rock fraction of 2002 UX25 is similar to the low rock fraction of the smaller KBOs.

5. CONCLUSIONS

The inferred low rock fraction of the 2002 UX25 system makes the formation of rock-rich larger objects difficult to explain in any standard coagulation scenario. For example, to create an object with the volume of Eris would require assembling ~40 objects of the size of 2002 UX25. Yet the assembled object, even with the additional compression, would still have a density close to 1 g cm$^{-3}$ rather than the 2.5 g cm$^{-3}$ density of Eris (Sicardy et al. 2011).

We offer a small number of possible ways in which the dwarf planets could still be created from the coagulation of smaller KBOs. First, it is possible that we have severely underestimated porosities. If 2002 UX25 could support a porosity of 50%, it would have a compressed density similar to that of Orcus or Charon. If the smaller objects have porosities of 60% or higher, they too would have a similar rock fraction to the smaller dwarf planets and coagulation would no longer present difficulties. The inferred change porosity from 2002 UX25 to Salacia to Orcus, over a relatively small range in diameter, would be unexpected. While such an extreme porosity for 2002 UX25 cannot be excluded, asteroid observations, internal modeling, and laboratory compression experiments all suggest that this possibility is unlikely.

The second manner in which dwarf planets could be built from small bodies is if the objects for which we have measured densities are not a fair sample of the Kuiper belt. Many—but not all—of the low density objects are part of the cold classical Kuiper belt, which is known to have many distinct physical properties, including a larger fraction of satellites and thus a tendency to have a measured density (Noll et al. 2008). The objects Typhon and Ceto are both Centaurs, however, which are unlikely to be escapes from the stable cold classical region. The object 1998 SM165 is currently in a 2:1 resonance with Neptune, so its initial origin is more ambiguous. 2002 UX25, however, with an inclination of 19°, appears to be a clear member of the hot classical population. It is thus clear that low density small objects exist in the non-cold classical population of the Kuiper belt.

Another possibility is that there is a bias in our density measurements. If, for example, there were a significant population of higher density small objects with no density measurements, the large objects could easily be made. Density measurement requires the presence of a satellite. It is not impossible to imagine that perhaps less dense objects preferentially acquire satellites, but such a scenario seems contrived. Similarly, 2002 UX25 could be an outlier and not representative of the densities of the mid-sized KBOs. More density measurements in this size range are clearly warranted.

Finally, it is possible that objects of the dwarf planet size evolve to their high densities through the effects of giant impacts. Indeed, Haumea is thought to have lost much of its icy mantle, clearly leading to an increase in density (Brown et al. 2007), but giant impact modeling has not found a way to lose sufficient ice to affect the density enough to explain more than a small amount of the higher densities of the dwarf planets (Stewart & Leinhardt 2009; Leinhardt et al. 2010).

None of these alternatives appears likely. We are left in the uncomfortable state of having no satisfying mechanism to explain the formation of the icy dwarf planets. While objects up to the size of 2002 UX25 can easily be formed through standard coagulation scenarios, the rock-rich larger bodies may require a formation mechanism separate from the rest of the Kuiper belt.

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