Detection of Tidal Disruption Events around Direct-collapse Black Holes at High Redshifts with the James Webb Space Telescope

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Abstract

This is the third sequel in a series discussing the discovery of various types of extragalactic transients with the James Webb Space Telescope (JWST) in a narrow-field (~0.1 deg^2), moderately deep (m_{AB} ~ 27 mag) survey. In this part we focus on the detectability and observational characteristics of direct-collapse black holes (DCBHs) and tidal disruption events (TDEs) around them. We use existing models for DCBH accretion luminosities and spectra, as well as for TDE light curves, and find that accreting DCBH seeds may be bright enough for detection up to z ~ 7 with JWST NIRCam imaging. TDEs of massive (M ≳ 50 M_⊙) stars around them can enhance the chance for discovering them as transient objects, although the rate of such events is low, a few per survey time. TDEs around nonaccreting black holes of M ~ 10^5 M_⊙ may also be detected at z < 7 redshifts in the redder NIRCam bands between 3 and 5 μm. It is also shown that accreting DCBHs appear separate from supernovae on the NIRCam color–color plot, but TDEs from quiescent black holes fall in nearly the same color range as superluminous supernovae, which makes them more difficult to identify.

Unified Astronomy Thesaurus concepts: Black holes (162); Reionization (1383); Early universe (435); Surveys (1671)

1. Introduction

By the end of the cosmic dark ages, nascent stars and galaxies initiate the reionization of the intergalactic medium.

The First Light At Reionization Epoch (FLARE) survey (Wang et al. 2017) project was set up to transform the search for new objects appearing during the reionization epoch to the time domain. It aims to find supernovae (SNe) and direct-collapse black holes (DCBHs) with the James Webb Space Telescope (JWST). FLARE proposes to find and characterize the first stars in the universe in a shallow survey down to about 27 AB mag. It uses a discovery space of transient phenomena with JWST in the early universe. The proposed survey will find transients to reveal the state of the universe when the first stars and BHs were formed. See Wang et al. (2017) for more details.

Regős & Vinkó (2019) examined the SNe to be discovered with JWST in a 0.1 deg^2 field survey in 3 yr, corresponding to the original survey science goals set out in Wang et al. (2017). Regős & Vinkó (2019) examined the detection, brightness, and expected number counts of superluminous SNe (SLSNe) and SNe Ia in the FLARE survey.

In a follow-up paper Regős et al. (2020) examined the possibility for identifying pair-instability SNe (PISNe) in the FLARE survey. As Population III stars are short-lived, their rapid enrichment hides Population III star formation, and even deep JWST exposures will tend to see metal-enriched Population II stars. To constrain the high-mass end of stellar mass functions, the search for PISNe would reveal whether star formation led to masses in excess of 150 M_⊙, the threshold for the onset of the pair-creation instability. Regős et al. (2020) found that individual PISN events are bright enough to be detected with JWST, but the challenge is their low surface density.

In the present paper, which is the third in a series dealing with discovery of transients with JWST, we study accretion onto BHs formed by direct collapse from the primordial gas. It is expected that JWST can detect these most luminous and earliest cosmic messengers in a sufficiently wide field. Such a survey is vital in addressing the key scientific goals of JWST.

Recently Wang et al. (2017) reviewed the theoretical background of DCBH formation and their detectability with JWST. Here we briefly repeat the most important points for completeness.

DCBHs that are thought to be the origin of the first supermassive BHs (SMBHs) could be formed via two channels: either from the direct collapse of the high-redshift primordial gas halos (e.g., Bromm & Loeb 2003) or from the core collapse of the first stars (Whalen & Fryer 2012). The primordial initial mass function was rather broad, extending to possibly very high masses of Population III stars. This would imply that massive BH remnants are quite common.

The formation of the first SMBH seeds took place at z > 10, i.e., when the age of the universe was t < 500 Myr. These SMBH seeds made an important contribution to the growth of early (z ~ 7) SMBHs (Pacucci et al. 2017).

The observational characteristics and JWST detectability of DCBHs were studied by Natarajan et al. (2017), who showed that accreting DCBHs can be as bright as m_{AB} ~ 26 mag in the infrared, and thus detectable with JWST. Visbal & Haiman (2018) propose that future X-ray missions like Lynx, combined with infrared observations, could distinguish high-redshift DCBHs through their small host galaxies, which is the high ratios of BH mass to stellar mass of the faintest observed quasars.

Comparison between the stellar spectral energy distribution (SED) of some GOODS-S objects (Illingworth et al. 2016) and computed SEDs of BHs grown of DCBHs shows good agreement. These objects are characterized by their higher infrared color indices, i.e., their infrared SEDs increase steeply.
toward longer wavelengths, as predicted for DCBHs. The steepness of the SED is also their possible observational signature in addition to infrared magnitudes.

Observations of transients provide another way to characterize the early universe. Tidal disruption events (TDEs) and the intrinsic variability of accretion flow can trace the buildup of a billion solar-mass SMBHs within a few hundred millions of years. Alexander & Bar-Or (2017) derive a minimal mass of $3 \times 10^5 \, M_\odot$ for present-day central BHs in galaxies and point out that the lack of intermediate-mass BHs at low redshifts has observable implications for tidal disruptions.

Adopting event rates from the literature, Fialkov & Loeb (2017) established trends in the redshift evolution of the TDE number counts and their observable signals. They find TDE rates that are weak functions of redshift. On the other hand, the redshift evolution of the TDE rate is very uncertain, because the dominant mechanism for loss-cone feeding is unknown (see Stone et al. 2020, for a recent review).

While TDEs have a low rate relative to other transient events, their discovery rate was augmented by the 1- to 5-day-cadence optical surveys such as the Palomar Transient Factory (Law et al. 2009), the All-Sky Automated Search for Supernovae (ASAS-SN; Holoien et al. 2019), the Sloan Digital Sky Survey (van Velzen et al. 2011), and the Zwicky Transient Facility (van Velzen et al. 2020). Pan-STARRS found a number of important TDEs, e.g., the famous optical PS1-10jh (Montesinos Armijo & de Freitas Pacheco 2013; Bogdanović et al. 2014; Guillochon et al. 2014; Gezari et al. 2015; Strubbe & Murray 2015). ZTF contributed to a sample useful for statistical analysis, and the forthcoming Legacy Survey of Space and Time (LSST) by the Vera C. Rubin Observatory will also detect many events per year to enable it.

SNe in galactic nuclei may confuse optical surveys for TDEs: Strubbe & Quataert (2011) estimate that nuclear SNe Ia are two orders of magnitude more common than TDEs at $z \sim 0.1$ for ground-based surveys. Nuclear SNe II occur at a comparable rate but can be excluded by preselecting red galaxies. The contamination from SNe can be reduced by high-resolution follow-up imaging with adaptive optics or HST. Predictions help transient surveys on their potential for discovering TDEs. Detecting and characterizing first SLSNe and TDEs are goals of the FLARE project for JWST (Wang et al. 2017).

Section 2 discusses DCBHs and their TDEs, TDE theory, the distribution of BH masses, and the expected TDE rates in the FLARE survey. Section 3 describes simulations of TDE light curves (LCs), the models superimposed on DCBHs, and their detection in various JWST NIRCam filters. Section 4

Figure 1. Models of DCBH spectra (Pacucci et al. 2015), redshifted to $z = 5$ (blue curve) and 7 (red curve), assuming standard accretion at four different ages after BH formation. The ages of the spectra are indicated in the title of each subpanel. The colored curves in the bottom of each panel represent the bandpass functions of the considered JWST/NIRCam filters (F150W, F200W, F356W, and F444W, respectively). Fluxes above $m_{AB} \sim 27$ mag are expected to be detectable on NIRCam frames during the FLARE survey (Wang et al. 2017).
presents the results of the simulations and their predicted ranges on JWST color–color plots. We conclude our results in Section 5.

2. Direct-collapse Black Holes and Their TDEs

2.1. DCBH Theory Overview

$N$-body simulations of the large-scale structure are used to estimate the spatial density of observable SMBHs. The large range of predictions comes from uncertainties in the critical Lyman–Werner radiation field that can suppress H$_2$ formation, from clustering of DCBH formation sites and feedback. Habouzit et al. (2016) summarize these models. They derive a number density that is also constrained by the observed cosmic near-infrared background fluctuation level.

Compton-thick DCBHs are more detectable, as more energy is reprocessed to rest-frame UV/optical and redshifted to near-infrared bands (e.g., Yue et al. 2014).

There are two seeding model families for DCBHs: light-seed BHs are the remnants of Population III stars, while heavy seeds are from the direct collapse of gas clouds. Several models exist for the accretion history as well: sub-Eddington accretion, slim-disk models, and torque-limited growth models (Ben-Ami et al. 2018).

There is evidence for a DCBH in the Ly$\alpha$ source CR7 (Smith et al. 2016). The CR7 galaxy at $z = 6.6$ has a combination of exceptionally bright Ly$\alpha$ and HeII $\lambda 1640$ line emission but an absence of metal lines. As a result, CR7 may be a candidate host of a DCBH. A massive BH with a nonthermal Compton-thick spectrum reproduces its Ly$\alpha$ signatures.

The DCBH scenario describes the isothermal collapse of a pristine gas cloud directly into a massive, $10^5$–$10^6 M_\odot$ BH. Large H I column densities of primordial gas at $10^4$ K temperature provide conditions for the pumping of the 2p level of atomic hydrogen by trapped Ly$\alpha$ photons. This gives rise to stimulated fine-structure maser emission at 3.04 cm. Detection of the redshifted 3 cm emission line could provide direct evidence for the DCBH scenario (Dijkstra et al. 2016).

Formation of binary and multiple DCBHs in atomically cooled halos increases the possibility of detecting TDEs in the near-infrared with JWST. The effect of binary stellar populations on DCBH formation through the irradiating Lyman–Werner field was also considered (Latif et al. 2020).

Kashiyama & Inayoshi (2016) give detailed analytical calculations for the formation of a nuclear cluster around DCBHs and the TDE of some of the cluster members scattered within the tidal radius of the central BH. They find that such events might be detectable in X-rays up to $z \lesssim 20$, and the afterglow may also be visible with radio telescopes or JWST.

2.2. Distribution of Black Hole Masses

Formation of a broad distribution of clustered primordial BHs is predicted, e.g., from Higgs inflation (dilaton) models, which could constitute today’s dark matter. In less exotic
models, light-seed BHs result from remnants of Population III stars, while heavy seeds are formed from the direct collapse of gas clouds (Ferrara et al. 2014).

The lognormal distribution for the birth mass function of intermediate-mass ($10^4$–$10^6 M_\odot$) DCBH seeds gives a tapered power law for the mass function with limiting

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**Figure 3.** Color–color plot for NIRCam filters showing various types of transients. Gray circles are DCBHs from both standard and slim-disk accretion models, while the colored symbols illustrate the expected positions of several types of SNe (see Regős & Vinkó, 2019).

**Figure 4.** LCs of a TDE in the JWST/NIRCam filter wavelengths at various redshifts, superimposed on the accretion SEDs of DCBHs. The mass of the DCBH is $10^5 M_\odot$, and the stellar mass is $200 M_\odot$. Solid curves denote models with standard accretion, while dashed curves correspond to models with slim-disk accretion (Pacucci et al. 2015).
distribution of modified lognormal power law (Basu & Das 2019) as

$$\frac{dn}{d \ln M} = \frac{\alpha}{2} \exp \left( \alpha \mu_0 + \alpha^2 \sigma_0^2/2 \right) M^{-\alpha} \times \text{erfc} \left( \frac{1}{\sqrt{2}} \left( \alpha \sigma_0 - \ln M - \mu_0 \right) \right),$$  \tag{1}

with infinite time for the creation of all DCBHs, where $\mu_0$ and $\sigma_0$ are the mean and the standard deviation of the logarithmic mass distribution of the DCBH seeds. Ferrara et al. (2014) give $\mu_0 = 11.7$ (corresponding to peak at mass of $10^{5.1} M_\odot$) and $\sigma_0 = 1.0$.

The break in the power law is a marker of the end of the DCBH growth era. $\alpha = 0.5$ with break-point-related parameter $\beta = 8.4$ (in the tapered power law) fits the quasar luminosity function as well and reveals DCBH growth theory.

The formation of DCBH seeds took place between $20 < z < 12$ (Yue et al. 2014). The increase of the DCBH number density, characterized by the DCBH growth rate $\lambda = d \log n_{\text{DCBH}} / d \log t$, was found as $\lambda \sim 27.7 \text{ Gyr}^{-1}$ if the critical flux of the Lyman–Werner radiation was $J_{\text{crit}} = 300 \times 10^{-21} \text{ erg} \text{ s}^{-1} \text{ cm}^{-2} \text{ Hz}^{-1} \text{ sr}^{-1}$ (Dijkstra et al. 2014; Basu & Das 2019). The growth of each DCBH is thought to happen exponentially, close to the Eddington rate, but periods of super-Eddington growth are also possible (Pacucci et al. 2017; Basu & Das 2019).

2.3. Tidal Disruption Event Theory and Modeling

The bases of TDE dynamics have been laid down by Rees (1988) and Evans & Kochanek (1989), among others. Stars in galactic nuclei can be captured or tidally disrupted by a central BH. Some debris would be ejected at high speed, and the remainder would be swallowed by the hole, causing a bright flare lasting at most a few years. This results in an LC characterized by the famous $t^{-5/3}$ decline rate, as predicted by Rees (1988) and Phinney (1989).

As the TDE accretion rates are super-Eddington, which can last a year, the peak luminosity can be as bright as the brightest SLSNe. Their peak luminosities, combined with their characteristic light-curve shapes, can be used to classify transient events as TDEs.

Strubbe & Quataert (2009) highlight some of the observational challenges associated with studying TDEs in the optical. Lodato & Rossi (2011) predict that after a few months TDE optical and UV LCs scale as $t^{-5/12}$ and are thus substantially flatter than the well-known $t^{-5/3}$ decline. The X-ray band, instead, is the best place to detect the $t^{-5/3}$ behavior, although only for roughly a year, before the emission steepens exponentially. The observed properties of optical TDEs (Komossa 2015; van Velzen et al. 2020) show that the 5/12 power law is not observed during the first 1–3 yr of the LC. Instead, van Velzen et al. (2020) found that the observed optical LCs of a sample of 33 TDEs can be described by a power law with an average index of $p \sim -1.65 \pm 0.65$, which is
remarkably close to the canonical $p = -5/3$ value, albeit with significant event-to-event scatter.

There are other observational indications that suggest that, in reality, TDEs can be more diverse than was suspected based on the first, simplified theoretical picture. For example, ASASSN-14li was a particularly well-observed TDE having extensive multiwavelength data, which can be modeled self-consistently by the disruption of a $\sim 1 M_\odot$ star around a $\sim 10^{6.5} M_\odot$ SMBH (Krolik et al. 2016). Holoien et al. (2016) found that the early pseudo-bolometric LC is most consistently fit by an exponential decay of $e^{-t/60}$ (in days), while the $t^{-5/3}$ power law gives a moderately worse fit. The early-time LC can be explained by both a power law and an exponential decay. More recent simulations (Law-Smith et al. 2019), as well as semi-analytical models (Krolik et al. 2021), confirmed that real TDEs can be much more complex than the simple analytical models suggest. While simple models might be capable of giving order-of-magnitude estimates for the basic parameters (e.g., masses), more detailed analyses would probably require simulations. This caveat should be kept in mind while considering simple TDE model LCs.

2.4. Expected DCBH and TDE Rates in FLARE

The number density of DCBHs brighter than 26.5 mag at 4.5 $\mu$m in Wang et al. (2017), predicted from various models (Agarwal et al. 2012; Yue et al. 2013; Dijkstra et al. 2014), shows large variations, ranging from $10^{-10}$ to $10^{-1}$ Mpc$^{-3}$. The large range comes from uncertainties in the critical Lyman–Werner radiation field to suppress H$_2$ formation, clustering of DCBH formation sites, and feedback. However, Habouzit et al. (2016) display that the more modern simulations corresponding to large cosmological volumes and sophisticated modeling of physical processes give the highest number densities of DCBHs, and the variation in the above-listed three models is only 2 orders of magnitude. Since the comoving number density of DCBHs in the Yue et al. (2013) models is as high as $n_{\text{DCBH}} \sim 0.1$ Mpc$^{-3}$ at $z = 8 - 10$, we adopt this value (also as an upper limit) for our rate estimates. Normalizing to the observed near-infrared background fluctuations, it can be even 0.1 Mpc$^{-3}$ at $z = 13$ (Yue et al. 2013).

In Kashiyama & Inayoshi (2016) the TDE rate is $\sim 10$ per DCBH within 1 Myr at the DCBH early growth stage. Their rate applies to TDEs from $M \sim \text{few} \times 10^{6} - 100 M_\odot$ stars, their effective characteristic mass being higher than 40 $M_\odot$. If the TDE happens through the whole lifetime of a DCBH, then multiplying the $n_{\text{DCBH}} \sim 0.1$ Mpc$^{-3}$ number density of a steadily accreting DCBH by the $10 \cdot T_{\text{DCBH}}/1$ Myr events/DCBH rate given above, where $T_{\text{DCBH}}$ is the expected lifetime of the accreting DCBH, we obtain the detectability of TDEs in the FLARE survey as $n_{\text{TDE}} \sim 0.5$ deg$^{-2}$ yr$^{-1}$ per unit redshift bin (see also Wang et al. 2017). Thus, we can expect approximately one to two events in the entire redshift range during the total survey time ($\sim 3$ yr). If this is enhanced by normalizing to near-IR background fluctuations, the expected TDE counts in the proposed FLARE survey are quite reasonable. Note that if the full field of view of the FLARE survey is increased up to 0.8 deg$^2$, rather than 0.1, the
TDE counts in the wide-field survey will be higher by a factor of 8, i.e., about ∼10 events.

3. Simulations

In this paper we use existing models for DCBH accretion and TDE LCs to estimate the observability of such events with JWST during the FLARE survey. Note that the final parameters of the FLARE survey are not yet fixed, but even an area of 0.1 deg² provides valuable numbers.

While the applied filters are also to be finalized, for the present simulation we adopt the same four NIRCam filters (F150W, F200W, F356W, and F444W) as used in Regős & Vinkó (2019) and Regős et al. (2020).

As in the previous papers, we apply the sncosmo code (Barbary et al. 2016) for calculating the observed signals of the redshifted DCBH/TDE events.

3.1. DCBH Models

We adopt the models of Pacucci et al. (2015) for the SEDs of DCBHs starting at 10⁵ M☉ mass and growing as a function of time up to 10⁶–10⁷ M☉. Since the timescale of DCBH growth is ∼ 10⁷ yr, we consider only those epochs when the model fluxes are the highest, providing the best-case scenario for the observability of these events. For the accretion process we consider both the standard and slim-disk accretion models as given by Pacucci et al. (2015).

3.2. Modeling TDE Light Curves

For computing the temporal evolution of the SED of a TDE, we use the parameterized model described by Lodato & Rossi (2011). We assume that stars approach the SMBH on parabolic orbits, and the closest encounter occurs at the tidal radius \( R_T = R_p(M_{\text{BH}}/M_*)^{1/3} \), i.e., the impact parameter \( \beta = R_T/R_p = 1 \), where \( R_p \) is the pericenter distance (Lodato & Rossi 2011). We do not consider partial disruptions having \( \beta < 1 \) (e.g., Guillochon & Ramirez-Ruiz 2013).

After disruption, half of the stellar material is thought to leave the system, while the other half that was closer to the BH at the moment of the pericenter passage is assumed to fall back onto the BH via super-Eddington accretion. The accretion luminosity produces the initial flare that is usually referred to as the super-Eddington wind. A fraction of the fallback material leaves the system owing to the wind, while the remaining fraction forms an accretion disk that keeps the material accreting to the BH.

Following Lodato & Rossi (2011), the following parameters (Table 1) are applied to describe the TDE model SED (see Lodato & Rossi 2011, for more detailed description):

1. mass of the BH \( (M_{\text{BH}}, \text{in } 10^6 M_\odot \text{ units}) \);
2. mass of the disrupted star \( (M_*, \text{in } M_\odot \text{ units}) \);
3. radius of the disrupted star \( (R_*, \text{in } R_\odot \text{ units}) \);
4. impact parameter \( (\beta = R_T/R_p = 1) \);
5. radiation efficiency of the accretion ($\eta = 0.1$, in units of the mass accretion rate);
6. wind mass fraction ($f_{\text{out}} = 0.3$, in units of the fallback mass);
7. wind velocity factor ($f_{v} = 2$, in units of the escape velocity from the disk);
8. disk inclination angle ($i = 0^\circ$, assuming a face-on disk).

We assume that the disrupted stars are zero-metallicity Population III objects during their main-sequence (MS) phase. The models by Ohkubo et al. (2009) predict an $R_{\text{e}} \sim M_{\odot}^{0.75}$ mass–radius relationship for such objects, which is adopted in our calculations.

Note that the Lodato & Rossi (2011) model predicts a shallower ($\sim -5/12$) power-law decline for the optical LC than the canonical $-5/3$ value supported by the observations (see Section 2.2). This caveat limits the applicability of this model for analyzing the observed events. On the other hand, in this paper we are primarily concerned with detections of TDEs, where the peak luminosities (related to mass fallback rates and radiation conversion efficiency) are more important than the actual shapes of the LCs. In this respect the applied model gives reasonable predictions.

The Lodato & Rossi (2011) model assumes a simple constant mass–energy distribution for the disrupted star. In fact, based on semianalytical calculations and simulations, Lodato et al. (2009) showed that more realistic density distributions affect the TDE LCs mainly during the pre-maximum phases, causing a more gradual rise of the LC to maximum. The peak mass accretion rate, and hence the peak brightness, is only mildly affected and stays within a factor of $\sim 2$ for models with polytropic index in between $\gamma = 4/3$ and $1.8$ (see Figure 10 in Lodato et al. 2009). Similar results are presented by Guillochon & Ramirez-Ruiz (2013). Therefore, the LCs presented in Section 4 would not change drastically when other forms of density distribution were assumed.

The structure of Population III stars is not very different from the structure of Population I stars, although they are more compact, as the opacity is lower. Therefore, it is harder to disrupt them, and their debris is closer to the BH. This smaller orbit will result in a shorter timescale in their LC. Even if the LC model used is not accurate (or matches known optical TDEs at low redshift), it may be suitable to examine their behavior at high redshift and their detection by JWST.

TDEs in an accreting BH will likely have a different observational signature compared to TDEs from quiescent BHs (Chan et al. 2020), but this is beyond the scope of this work.

### 3.3. TDEs around DCBHs

Monochromatic TDE LCs at rest-frame frequencies corresponding to the central wavelengths of JWST/NIRCam F150W, F200W, F356W, and F444W filters in the observer’s frame are calculated via the formulae given by Lodato & Rossi (2011). Contributions from both the wind and the disk are considered. Then, the calculated TDE fluxes are added to the model SEDs of accreting DCBHs calculated via the formulae given by Pacucci et al. (2015). Both the standard and slim-disk accretion models are considered, resulting in slightly different final combined DCBH-TDE model...
Finally, the rest-frame model SEDs are scaled to different redshifts ($z$) and the corresponding luminosity distances ($DL$, in Mpc) assuming ΛCDM cosmology with the following parameters: $\Omega_m = 0.315$, $\Omega_\Lambda = 0.685$, $H_0 = 67.4$ km s$^{-1}$ Mpc$^{-1}$ (Planck Collaboration et al. 2020), applying the astropy.cosmology module in Python (Astropy Collaboration et al. 2013).

The results of these calculations are presented and discussed in the following section.

4. Results and Discussion

Figures 1 and 2 show the DCBH models of Pacucci et al. (2015) assuming standard and slim-disk accretion, respectively. The models are redshifted to $z = 5$ and 7 to illustrate the observer-frame spectra of DCBHs with different ages after formation. The bandpasses of the four JWST/NIRCam filters are also plotted. It is seen that DCBHs with standard accretion can be detectable above $m_{AB} \sim 27$ AB mag in each NIRCam bandpass up to $z \sim 7$ (see also Pacucci et al. 2015).

In Figure 3 the expected positions of DCBHs at various ages and redshifts (between $4 < z < 9$) are plotted on the JWST/NIRCam color–color plot. The colored symbols indicate the positions of various types of SNe as shown in Regős & Vinkó (2019). As seen, DCBHs are tightly clustered around 0 in both colors, redward above the diagonal sequence populated by SNe, regardless of age, redshift, or accretion model.

Figure 4 shows LCs of a TDE from a 200 $M_\odot$ star around a DCBH of $10^6 M_\odot$ in the considered JWST/NIRCam filter wavelengths at various redshifts (color-coded in the legend). Accretion luminosity onto the DCBH is added to the predicted TDE fluxes as described in Section 3.2. Solid lines indicate standard DCBH accretion at 110 Myr, while dashed lines show the models with slim-disk accretion at 0.5 Myr (Pacucci et al. 2015).
Figures 5 and 6 are the same as Figure 4, but for a 50 and 10 $M_\odot$ star, respectively. The solid lines in Figures 7–9 display the LCs of TDEs from 200, 50, and 10 $M_\odot$ stars around a $10^6$ $M_\odot$ BH without the DCBH accretion luminosity contribution. The combined DCBH + TDE signal assuming standard accretion (Figures 4–6) is also shown with dashed lines for comparison.

From Figures 4–6 it is seen that a TDE signal on top of the DCBH accretion luminosity may enhance the detectability of such events with JWST. In the $5 < z < 7$ redshift range all the combined DCBH + TDE curves stay above the 27 mag detection limit, regardless of the assumed accretion model, while between $7 < z < 9$ only the TDE + DCBH models with standard accretion pass the detection limit. The mass of the disrupted star affects mostly the timescale of the transient event. In the case of a (hypothetical) 200 $M_\odot$ star (Figure 4) the signal shows significant ($\gtrsim 0.5$ mag) change during 1000 days (the assumed duration of the FLARE survey) in the two redder bands (in F356W and F444W), while in the F150W and F200W bands the amplitude of the variation due to the TDE is only $\lesssim 0.1$ mag. Such a massive star could be either a massive Population II or Population III (metal-free) star before its final fate as a PISN (Regős et al. 2020).

For the disruption of the 50 and 10 $M_\odot$ stars (Figures 5 and 6) the predicted timescales are shorter, but the variation stays more pronounced (i.e., $\gtrsim 0.5$ mag) in the two redder bands during the first 1000 days.

On the other hand, Figures 7, 8, and 9 indicate that detection of TDEs around nonaccreting $M \sim 10^6$ $M_\odot$ SMBHs that no longer show the DCBH accretion luminosity is feasible only with F356W at $z < 6$ and with F444W in the $z < 7$ redshift range. The disruption of a 200 $M_\odot$ star produces a detectable but slowly varying signal in these bandpasses and redshifts. The detectability of the TDE of a 50 $M_\odot$ star looks more promising, since the peak magnitude is similar but the timescale is shorter, which may help the identification of the varying signal during the transient survey. The TDE of a 10 $M_\odot$ star around a nonaccreting SMBH (Figure 9) looks just marginally detectable for a short period of time ($t < 1$ yr).

Figure 10 shows the location of TDEs from nonaccreting BHs (gray band) on the NIRCam color–color plot similar to Figure 3. It is seen that such events occupy almost the same range as SLSNe (Regős & Vinkó 2019). This makes the separation of these two types of transients difficult, since the timescales of SLSNe are also long, comparable to the slow evolution of massive TDEs. Note that during their early phases TDEs appear redder than most of the other transients in this plot, because of their higher redshifts ($z > 4$), but they become bluer as they evolve, moving closer to the observable color regime occupied by SNe Ia and SNe II-P.

As a comparison, Figure 11 displays the location of TDE + DCBH signals on the same color–color plot (again, the gray band marks the range of the pure TDEs). Here the same coding scheme has been applied as above in Figures 4–6. Like in Figure 3, the accretion onto the DCBH moves the measured colors of such events to the upper left part of the color–color plot, but the time dependence of the signal makes them more dispersed with respect to the pure DCBH accretion plotted in Figure 3 (the loop-like structures could be just due to the approximate TDE LCs, though, and in the real data they might not appear the same as shown here).

5. Conclusions

We studied the detectability of TDEs in the vicinity of either DCBHs or SMBHs with JWST NIRCam during the proposed FLARE transient survey (Wang et al. 2017). We combined models for the accretion luminosity of DCBHs with different rates from Pacucci et al. (2015) with analytic TDE LCs of Lodato & Rossi (2011), redshifted and convolved with the NIRCam filter bandpasses by applying the sncosmo code (Barbary et al. 2016).
Based on the results presented in the previous sections, we draw the following conclusions:

1. DCBH models with standard accretion offer the possibility of detection of such seeds with NIRCam for $t \lesssim 110$ Myr after collapse in all bands at $z < 7$ redshifts. However, DCBH models with slim-disk accretion seem to be too faint for the detection limit of the survey ($\sim 27$ AB mag). These objects are shifted upward on the NIRCam color–color diagram, separated from the range occupied by SNe.

2. TDEs around DCBH seeds may enhance the detectability of such events as a time-dependent signal. TDEs may make the DCBH seeds detectable up to $z \sim 9$ in the F356W and F444W bands.

3. TDEs around SMBHs without the DCBH accretion disruption of intermediate-mass $M \sim 50 M_\odot$ stars offers the best opportunity for detection, regarding both peak luminosity and variation timescale during the survey time.

4. Such TDEs appear close to the range of SLSNe in the NIRCam color–color plot, which may make them difficult to distinguish from SNe.

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Software: astropy (Astropy Collaboration et al. 2013), snecosmo (v2.0, Barbary et al. 2016).

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