Molecular orientation distribution of regenerated cellulose fibers investigated with rotor synchronized solid state NMR spectroscopy

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Abstract A regenerated cellulose fiber is, in contrast to cotton, a man-made fiber. In the fiber production, the cellulose polymer is subject to various processing steps, affecting the underlying molecular orientation distribution, which is a determining factor for mechanical properties of the fiber. In this work, the molecular orientation distribution was determined in a $^{13}$C natural abundance Lyocell regenerated cellulose fiber bundle using rotor synchronized magic angle spinning NMR spectroscopy (ROSMAS) to investigate the chemical shift anisotropy (CSA). The recorded signal intensities were compared with an analytical model of the experiment to find the order parameters reflecting the orientation of the fiber. The CSA tensor was calculated using density functional theory for the crystalline cellulose II structure, commonly found in regenerated cellulose, and is required as an input parameter. The expected order parameter values were only found when approximating the glycosidic bond and its CSA tensor as being parallel to the molecular frame with the order parameter $P_2 = 0.45 \pm 0.02$ compared to $P_2 = 0.46 \pm 0.02$ obtained with wide angle X-ray scattering on a fiber bundle. To make this method accessible to the community, we distribute the Matlab script for the simulation of spectra obtained by the ROSMAS experiment at github.com/LeoSvenningsson/ROSMAS.

Keywords NMR · Regenerated cellulose · Cellulose II · Oriented polymer · Molecular order · Molecular orientation · Fiber

Introduction

The regenerated cellulose fibers produced by the Lyocell process or the more recent ionic liquid dissolution have shown to be a possible environmentally friendly alternative to traditional cotton production (Kosan et al. 2008; Sixta et al. 2015; Wanasekara et al. 2016) and the widely used viscose process. These methods produce cellulose materials for textiles, packaging films and non-woven products from naturally rich cellulose sources, such as wood. Regardless of production method, a cellulose textile fiber is characterized by a significant portion of both crystalline and amorphous contributions with each crystallite having dimensions from ten to a few
hundred nanometers (Klemm et al. 2011; Krässig 1993). The crystalline cellulose II structure is formed, among other methods, using the Lyocell or the ionic liquid process and comprises two anti-parallel 180° helical chains, that are known to have different bond angles and chemical shift anisotropy (CSA) as commonly detected by X-ray scattering (Langan et al. 2005; Krässig 1993) and NMR spectroscopy (Idström et al. 2016), respectively. In addition, the cellulose contains a significant fraction of anhydroglucose units exposed as fibrilar surfaces (Idström et al. 2016). The relatively large surface area affects properties, such as absorption and adsorption of water and other compounds, of which water content is known to alter various characteristics of a fiber.

Morphology of polymeric fibers are generally known to affect their macroscopic properties (Yang and Michielsen 2003; Sixta et al. 2015; Dawkins 1983). One aspect of morphology is the molecular orientation distribution, typically induced by macroscopic stretching. A few methods have been developed to investigate molecular anisotropy in fibers. Among them being: rotor synchronized MAS (ROSMAS) NMR spectroscopy (Harbison et al. 1986; Harbison and Spiess 1985; Henrichs 1987; Geen and Titman 2002; Titman et al. 1993; Schreiber et al. 1999; Gabrielse et al. 1995, 1996; Wilhelm et al. 1993; Song et al. 1997; Tzou et al. 1995), DECODER NMR spectroscopy (Schmidt-Rohr et al. 1992; Chmelka et al. 1993), X-ray scattering (Lafrance et al. 1991; Wanasekara et al. 2016; Northolt et al. 2001; Krässig 1993; Hermans et al. 1946), polarized Raman spectroscopy (Bower 1972; Citra et al. 1995; Yang and Michielsen 2002, 2003; Richard-Lacroix and Pellerin 2013; Frisk et al. 2004), birefringence (Dawkins 1983; Northolt et al. 2001), and infrared dichroism (Ward 1997). The measured orientation can potentially be obscured by chemical modification, composite additives or dyeing agents for which a plethora of selected methods can be used to avoid pitfalls.

This work focuses on the quantitative aspects of the ROSMAS NMR spectroscopy experiment, which can investigate uniaxial orientation distributions in bundles of fibers by studying the effects of the CSA tensor. Evaluation of the molecular orientation distribution using ROSMAS typically requires the CSA, and its orientation in the molecular frame, to be known a priori. Therefore, density functional theory is used to study the crystalline carbon CSA for the two dissimilar chains that constitute cellulose II, shown in Fig. 1. The overall molecular orientation distribution in a fiber is only dependent on the angle \( \theta \) between the molecular chain segment and the fiber axis. Therefore, the orientation distribution function (ODF) can be represented as linear contributions of Legendre polynomials weighted by their respective order parameters \( \langle P_2 \rangle \). The molecular chain segments are completely ordered when \( \langle P_2 \rangle = 1 \) and disordered when \( \langle P_2 \rangle = 0 \). Rotor synchronization has previously been used to determine up to \( \langle P_8 \rangle \) on poly(p-phenylene terephthalamide) (Wilhelm et al. 1993). In this work, a solid-state NMR experiment is demonstrated to obtain the \( \langle P_2 \rangle \) order parameter for a naturally abundant \( ^{13} \)C Lyocell style regenerated cellulose fiber.

**Method**

**Rotor synchronized MAS**

A complete description of the rotor synchronized MAS experiment was published by Harbison et al. (1986), of which only a brief description of the experiment is given here. The molecular orientation is determined from the CSA of crystalline cellulose II in a regenerated cellulose fiber. The molecular anisotropy is measured by applying a CP-MAS pulse sequence, as shown in Fig. 2, which is synchronized with starting position of the rotor and sampled \( n \) times over an entire rotation. The pulse sequence depicted in Fig. 2, which is triggered by a tachometer signal,
induces a phase dependency in the indirect dimension. When a bundle of uniformly oriented fibers is placed at an off angle from the rotor axis, it is possible to extract information about the molecular orientation.

Fourier transform is performed in both the $t_1$ and $t_2$ direction. Molecular orientation is expressed in $\omega_1$ dimension separated by $M_{0R}$, where $\omega_2$ is the rotation speed. Chemical shift sidebands are separated by $N_{0R}$ in the $\omega_2$ dimension. The signal intensity for a specific peak position is denoted $I_{M,N}$ for integers $M$ and $N$. The $M = 0$ contributions contain only positive signals while $M \neq 0$ contains both positive and negative signals. In general, an ordered material has strong spinning sidebands in $M \neq 0$ while a disordered material only has spinning sidebands in $M = 0$ since only the ordered material is phase dependent.

For a quantitative measurement, experimental data is evaluated with a theoretical model which describes the ROSMAS spectrum with an assumed orientation distribution of the CSA. Harbison et al. based their model on Herzfeld and Berger powder pattern analysis (Herzfeld and Berger 1980), incorporating the rotor synchronization and the ODF as a sum of Legendre polynomials as in Eq. (1).

$$f(\theta) = \sum_{\ell=0}^{\infty} \left( \ell + \frac{1}{2} \right) \cdot \langle P_\ell \rangle \cdot P_\ell(\cos \theta) \quad \ell = 0, 2, 4, \ldots$$

(1)

The ODF assumes a cylindrical symmetry of the fiber and rotational symmetry around the chain axis of anhydroglucose, thus accommodating the twofold helical structure of cellulose II. The order parameters are typically calculated by a linear fitting of Eq. (2). $(I_{M,N})_{exp}$ is the experimentally acquired integrated intensity and $(I_{M,N})_{calc}$ is the calculated intensity using the method of Harbison et al. (1986).

$$\left( I_{M,N} \right)_{exp} = \sum_{\ell=0}^{\infty} \langle P_\ell \rangle \left( I_{M,N} \right)_{calc}$$

(2)

CSA tensor from DFT calculations

The theoretical intensity $I_{M,N}$ can be calculated if the CSA tensor $\sigma$ is known, i.e. the principal axis components of cellulose II and their orientation in relation to the molecular frame. The principal axis CSA components have previously been analyzed (Hesse and Jäger 2005; Witter et al. 2002) but, less is reported about the shift spatial orientation. To evaluate the CSA tensor, we rely on Kohn–Sham density functional theory and the gauge independent atomic orbitals (GIAO) method for the chemical shielding anisotropy tensor. All electronic structure calculations were performed using the Gaussian09 program (Frisch et al. 2016). The chosen representation of the CSA tensors assumes a right-handed coordinate system where the x-axis is along unit cell vector $a$ and the z-axis is along $c$. The sequence of rotations defining the Euler angles is: a rotation by $\alpha$ around the z-axis, a rotation by $\beta$ around the (new) x-axis, followed by a rotation by $\gamma$ around the (new) z-axis. There are two non-equivalent cellulose chains in cellulose II, termed the ‘origin’ and ‘center’ chain according to the position in the unit cell as reported in the crystallographic study from which the starting structure was taken (Langan et al. 2005). The unit cell contains a twofold helical axis such that the asymmetric unit contains only one anhydroglucose unit and the coordinates of the other one are obtained by this symmetry operation. This has the consequence that the shift tensors of carbon atoms 1 and 7, 2 and 8, etc are related by an $180^\circ$ incrementation of $\alpha$ as in Fig. 3.

The chemical shielding tensor, $\sigma$, was converted to the shift tensor to allow direct comparison to experiment. The matrix representation of the CSA, $\delta$, is related to the shielding tensor as

$$\delta = I \sigma^{ref} - \sigma$$

(3)

where $I$ is the unit matrix and $\sigma^{ref}$ is the isotropic shift of a standard reference. Determining which value for $\sigma^{ref}$ is appropriate for use with a simulated $\sigma$ is not trivial. In the remarkably useful ‘multi-standards’ approach, $\sigma^{ref}$ is computed by the same methodology as the system of interest for a chemically similar
there are continuous chains of hydrogen bonds with donation in the repeating sequence O6 (origin chain) to O6 (center chain) to O2 (center chain) to O2 (origin chain) for pattern A and reversed for pattern B. Note that the possibility of two similar but distinct hydrogen bonding patterns may explain any temperature dependence in the NMR properties as the relative populations would change with temperature if they are close enough in energy, but this is unlikely to be the case here. The positions of the hydrogen atoms was optimized by a DFT calculation using periodic boundary conditions corresponding to the lattice vectors reported by Langan et al. (2005). After an initial, arbitrary, placement of the hydrogen atoms, a preliminary geometry optimization with all heavy atoms held fixed was performed using a minimal basis set. Basis functions were progressively added and the structure re-optimized until the 6-311G(d,p) level was reached. Then, the positions of all, including heavy, atoms were optimized with this basis set with the unit cell parameters held constant at the experimental values. The orientation of set of the unit cell could not be held constant but changed by about one degree during the calculations, corresponding to a small collective re-arrangement. Results are presented for the original orientation. The HSE exchange-correlation functional was used for all geometry optimizations (Henderson et al. 2009). This hybrid functional was constructed specifically to perform well for solid-state calculations under periodic boundary conditions. The ‘exact’ exchange energy contains long-ranged contributions and hybrid functionals are therefore typically inefficient to the point of inapplicability under periodic boundary conditions. This problem is ameliorated in the HSE by making the functional ‘hybrid’ only for short distances and treating larger distances by ‘pure’ DFT. The accuracy of HSE is essentially equivalent to the global-hybrid exchange-correlation functional PBE0 (a.k.a. PBEh), on which it is based.

As the gauge independent atomic orbitals (GIAO) method does not appear to be implemented for solid-state calculations under periodic boundary conditions in the Gaussian09 program, these calculations were performed on finite clusters. Given sufficient cluster size, this gives results equivalent to calculations with the full solid-state environment taken into account (Holmes et al. 2015). Cellotriose motifs were cut from the crystal lattice and hydrogen atoms were added to
satisfy the valency of broken bonds and form cellotriose molecules. The positions of the terminal hydrogens were optimized as above, except without periodic boundaries, with all other atoms held fixed. The cellotriose molecules were then assembled into clusters consisting of one central molecule surrounded by six additional ones, such that all the nearest-neighbor glucose residues were present in the cluster. The shielding tensors reported refer to the six carbon atoms of the middle glucose residue of the central cellotriose molecule, corresponding to the asymmetric unit. One cluster was constructed for each of the origin and center chains for each of the hydrogen bonding patterns, for a total of four clusters. An example is shown in Fig. 4.

The B97-2 exchange-correlation functional was used for the calculation of chemical shielding tensors (Wilson et al. 2001). This functional was originally constructed with shielding tensor calculations in mind, and a recent benchmark study confirms that it gives better predictions of $^{13}$C chemical shifts than is typical for DFT (Flaig et al. 2014). The pcSseg family of basis sets was employed, (Jensen 2015) which is specifically designed for the calculation of NMR properties. It consists of five members named pcSseg-n with $n = 0, 1, 2, 3, \text{ or } 4$ for basis sets of ascending size. Basis functions were assigned to atoms according the locally dense scheme suggested in Reid et al. (2014). Namely, pcSseg-3 was used for the six carbon atoms of the central glucose residue and the hydrogen atoms bonded to them; pcSseg-2 for all heavy atoms bonded to those carbon atoms and hydrogen atoms bonded to those atoms; and pcSseg-1 for all other atoms. In this way, a large basis set could be employed for a detailed description of the central carbon atoms for which the shielding tensors are calculated, while allowing a system size sufficiently large that the interactions with the nearest-neighbor molecules could be included. It would have been possible to carry out the chemical shielding calculations in a periodic system using any of a number of programs based on plane-wave basis sets, but this would have precluded the use of the high-performing pcS-family basis sets.

**Experimental**

**NMR spectroscopy**

A bundle of 17 μm Lyocell fibers was spun on a flat spool with a thin layer of polystyrene glue applied between wounds. Strips were cut out at 60° angle from
the fiber direction and stacked on top of each other so that it fitted a 4 mm rotor, as in Fig. 5. Any additional space was filled with silicon dioxide powder for rotational stability. The small rotor size enables stronger proton decoupling, which reduces the cellulose signal linewidth, compared to a 7 mm rotor.

NMR measurements were carried out using a Bruker 500 MHz Avance III, operating at 125.8 MHz for $^{13}$C. The ROSMAS experiment was conducted at ambient temperature and 1500 Hz ($\pm 1$) rotor spinning speed to sufficiently separate a few C1 sidebands from other signals. The rotational frequency should also comply to $\omega_R \leq \delta_{11} - \delta_{\text{iso}}$ and $\omega_R \leq \delta_{\text{iso}} - \delta_{33}$ to avoid signal averaging. The $t_1$ rotor period was divided in 10 equal steps before initiating a ramped cross polarization sequence with a constant 13C rf strength of 60 kHz while 1H rf is ramped from 45 to 90 kHz with SPINAL64 83 kHz proton decoupling averaged over 5000 scans for each phase step. The experiment is repeated to investigate potential signal obscuring effects, thereafter averaged with the first experiment. A recycle delay of 3 s, cross-polarization time of 1.5 ms and acquisition time of 20.48 ms were applied with the $^{13}$C chemical shift externally referenced against adamantane.

Wide angle X-ray scattering

A wide angle X-ray scattering measurement was performed on a Lyocell fiber bundle at Chalmers University of Technology with a 0.9 mm beam diameter Rigaku 003+ high brilliance microfocus Cu-radiation source at 130 mm distance with the sample irradiated over 20 min.

Results and discussion

ROSMAS analysis of oriented regenerated cellulose fibers

The 1500 Hz $M = 0$ ROSMAS spectrum (Fig. 6) has wiggles, clearly seen between 140 and 200 ppm, originating from the aromatic ring in the polystyrene adhesive, centered around 125–130 ppm. The aromatic sidebands overlap with cellulose C1 peak in the $M = 0$ spectrum, but not in the $M \neq 0$ spectra (Fig. 7) since the polystyrene adhesive is disordered. The $x^2$ shaped baseline is also effectively filtered out from the $M \neq 0$ spectra since it is independent of the rotor phase. The direct $\omega_2$ dimension is processed without window function to minimize effects of line broadening affecting spectral deconvolution.

Idström et al. (2016) have previously determined the isotropic shift for the five unique components of the C1 signal in regenerated cellulose. The model explaining these five signals, is based on there being two crystalline signals, two signals of tentative surface origin and one amorphous signal. The two crystalline signals are what is referred to the origin chain and

![Fig. 5](image-url) Block of oriented cellulose fibers in an NMR rotor, where $\beta_1$ is the angle between the rotational axis and the fiber direction

![Fig. 6](image-url) The $M = 0$ spectrum of the ROSMAS NMR experiment of oriented cellulose fibers together with polystyrene adhesive (PS), rotating at 1500 Hz. The $M = 0$ spectrum is equal to the unsynchronized CPMAS experiment with spinning sidebands shown in red. (Color figure online)
center chain in Fig. 3. Consequently, DFT calculations are performed for the crystalline part, and only this contribution will represent the molecular orientation. Spectral deconvolution was performed on both the $M = 0$ C1 peak near 106 ppm and the $M = 1$ C1 peak near 118 ppm. Deconvolution of the C1 peaks is not straightforward since it, in absence of complimentary C4 and C6 information due to signal overlapping, lacks sufficient unique features to accommodate all of the 5 signal sources. For this reason, special conditions are enforced such as: the two crystalline sources having the same orientation distribution and a pure Lorentzian lineshape while the other signals are purely Gaussian. In addition, a linear baseline is used to approximate the signal overlap from the polystyrene aromatic peak overlap and other potential sources in the $M = 0$ band. There are interfering C2,3,4,5 sidebands located around 100 ppm and 112 ppm at $M = 0$ and $M = 1$, respectively, approximated by a Gaussian lineshape. An expected surface signal, located around 104 ppm and 116 ppm at $M = 0$ and $M = 1$, respectively, is too weak and therefore omitted from the deconvolution.

Two deconvoluted ROSMAS C1 peaks in $M = 0$ and $M = 1$ are shown in Fig. 8. Notably, there is only minor difference in the relative intensities between the four deconvoluted signals between $M = 0$ and $M = 1$, respectively. The results indicate that most of the crystalline and amorphous cellulose is ordered in the fiber direction.

The CSA tensor

The calculated chemical shift tensors, visualized in Fig. 3, are presented in Table 1. The accuracy of the calculations is expected to be within a few ppm. However, differences in shielding may be significantly more accurate than this, which is why so many digits have been retained. Only the relative shifts of the principal axis $\delta$ components are important for the ROSMAS intensity calculation, therefore the much larger isotropic error can be ignored. The C1 CSA principal axis components in Table 1 and previously reported experimental data on regenerated cellulose II are within a few ppm (Hesse and Jaeger 2005). However, greater variation are shown between previously reported experimental C2,3,4,5,6 CSA principal axis components and our DFT results in Table 1.

The molecular orientation of regenerated cellulose fibers

The order parameters were calculated by Eq. (2) for a C1 shielding tensor in Table 1. A stretched fiber model was also explored, where the glycosidic COC bond and the magnetic shielding $\delta_{33}$ was assumed to be parallel with the molecular frame. The stretched fiber model was successfully used to establish good...
correlation between orientation parameters experimentally received data from polarized Raman spectroscopy and wide angle X-ray scattering on the same regenerated cellulose fibers published elsewhere (Svenningsson et al. 2019). An additional assumption is that the principal axis CSA tensor from DFT remains unchanged even though the $1 \rightarrow 4$ bond angles are altered. Figure 9 shows the azimuthal angle of the 002 reflection from a Lyocell regenerated cellulose bundle with a wrapped Lorentzian curve fit. The conversion to order parameters is performed using Eq. (4), with $f(\theta)$ as the WAXS wrapped Lorentzian curve fit function.

$$\langle P_t \rangle = \frac{\int_{0}^{\pi} P_t(\cos \theta) \cdot f(\theta) \cdot \sin \theta \, d\theta}{\int_{0}^{\pi} f(\theta) \cdot \sin \theta \, d\theta}$$

The curve fit is performed using experimental data between ±45° to reduce obscurities from the 021 reflection. An X-ray scattering measurement offers a more direct method of measuring crystalline molecular orientation in a fiber.

Table 2 contains the calculated order parameters with DFT and stretched fiber model using deconvolution and peak height as intensity. The results are shown together with X-ray scattering and polarized Raman experiments of the same fiber, published elsewhere (Svenningsson et al. 2019).

The expected order parameter $\langle P_2 \rangle$ for a fiber bundle should lie below the order parameter for a single fiber since a fiber bundle increases the molecular disorder. The ROSMAS bundle $\langle P_2 \rangle$ order parameter introduces additional disorder from sample preparation and should be lower than X-ray scattering of a bundle, which occurs only for the stretched fiber model. The results suggest that the crystalline structure in a fiber changes after mechanical stretching so that the $1 \rightarrow 4$ linkage is aligned to the z axis in the molecular frame. A critical implication of this result is that the common understanding of the cellulose II crystalline structure, typically found in regenerated cellulose, might be different in an exited stretched state typically found in fibers.

![Fig. 9 Wrapped Lorentzian azimuthal angle curve fitting (dashed) of the 002 WAXS reflection (dots) of a Lyocell regenerated cellulose fiber](image)
By inferring the stretched fiber model for amorphous cellulose, its molecular order is similar to the molecular order of crystalline cellulose. This is further motivated by the polarized Raman study showing similar molecular order as X-ray scattering on a single fiber since the Raman vibrational mode contains both crystalline and amorphous contributions according to Wan et al. (2017).

Because of the long experimental time of 84 hours and rather large error originating from deconvolution, originating from the complexity of the fitting many signals with few unique features, it may be preferred to perform a simple peak height estimation. Such estimation is valid since the ROSMAS $M = 0$ and $M = 1$ signals have equal line width and the overlapping signals change uniformly with molecular order as established with the stretched polymer condition. The uniform signal change is only predicted when the CSA tensor is parallel to the molecular frame and have the same orientation distribution. Since, amorphous peak height and orientation is qualitatively similar to the crystalline origin chain signal and the amorphous tail is only weakly affecting the origin chain signal, potential obscuring of the $\langle P_2 \rangle$ order parameter by a peak height approximation should remain less than 1%. The order parameter can therefore be calculated to $\langle P_2 \rangle = 0.45 \pm 0.02$ with a signal to noise of 147 ($M = 0$) and 29 ($M = 1$) from our respective origin chain peaks, a great improvement compared to deconvolution. The signal to noise error is similar to approximated errors from other sources, thus further reduction in signal to noise is therefore unnecessary. Since linewidth is less problematic for peak height measurements, compared to deconvolution, a 7 mm rotor would be favored. Expecting an approximated double signal-to-noise ratio from a larger sample volume, the total number of scans could be reduced by approximately 16 times if a 50% reduction of signal to noise is allowed, thus enabling the experiment to be performed around 6–8 h. The ROSMAS experiment offers an excellent opportunity of signal separation when investigating chemically modified, composites or colored celluloses when X-ray and polarized Raman spectroscopy data may be obscured.

The author have shown that the orientation distribution in a single fiber fits well with wrapped Lorentzian function published elsewhere (Svenningsson et al. 2019). In this work we show that it is also a reasonable approximation for a fiber bundle, as seen in Fig. 9. Therefore, a wrapped Lorentzian ODF can be reconstructed from only information of the $\langle P_2 \rangle$ order parameter. The same approximation can be used to exchange the Legendre polynomial function to a wrapped Lorentzian ODF and directly compute the ODF by iterative methods. The more computationally heavy method, requiring each iteration to solve a five-dimensional integral, is however rendered obsolete when ODF reconstruction from $\langle P_2 \rangle$ is available. For completeness, the order parameter is $\langle P_2 \rangle = 0.44 \pm 0.01$ and $\langle P_4 \rangle = 0.25 \pm 0.01$ with the wrapped Lorentzian based ROSMAS approach. Again, the error from other other sources are likely greater than the pure signal to noise based error used fr error estimation.

As an additional note, it is theoretically possible to determine the entire CSA tensor with ROSMAS, as done by Gabriëlse et al. (1995). This method however, is only realistically performed with isotope-labeled samples and is further more hindered by the cellulose II complex crystalline structure compared to

| Method                                      | $\langle P_2 \rangle$ | $\langle P_2 \rangle$ err |
|---------------------------------------------|-----------------------|----------------------------|
| ROSMAS—relaxed fiber model—deconvolution    | 0.77                  | 0.12                       |
| ROSMAS—stretched fiber model—deconvolution  | 0.42                  | 0.12                       |
| ROSMAS—stretched fiber model—peak height    | 0.45                  | 0.02                       |
| Wide angle X-ray scattering (bundled fibers) | 0.46                  | 0.02                       |
| Wide angle X-ray scattering (single fiber)   | 0.48                  | 0.03                       |
| Polarized Raman spectroscopy (single fiber)  | 0.50                  | 0.03                       |
poly(ethylene terephthalate). Further investigations can be made by expanding ROSMAS to 3D experiments with PASS sideband separation (Song et al. 1996; Antzutkin et al. 1994), enabled by the more recent DNP signal enhancement methods (Takahashi et al. 2012; Gutmann et al. 2017; Kirui et al. 2019). A $^{13}\text{C}$ $T_{1p}$ relaxation filtering to remove amorphous signal was also explored, however it was unsuccessful due to extremely short cellulose $T_{1p}$ relaxation times.

**Conclusion**

The ROSMAS NMR spectroscopy method was demonstrated on regenerated cellulose fibers. The result reveals a difference in the crystalline cellulose II CSA in a stretched cellulose fiber, compared to cellulose without a mechanical bias. Amorphous cellulose is similarly aligned as crystalline cellulose when a stretched fiber model is implied. A more simple peak height measurement in combination with the stretched fiber model of the CSA tensor is the preferred approach to analyze molecular orientation in regenerated cellulose fibers. The molecular order parameter $\langle P_2 \rangle = 0.45 \pm 0.02$ is in agreement with X-ray scattering $\langle P_2 \rangle = 0.46 \pm 0.02$ for a bundle of fibers. ROSMAS NMR spectroscopy in combination with X-ray and polarized Raman spectroscopy are powerful tools to quantitatively analyze anisotropy in cellulose and other polymers. The script for calculating the analytical spectra of the ROSMAS experiment has been made public at github.com/LeoSvenningsson/ROSMAS.

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