Adaptive Height Optimization for Cellular-Connected UAVs: A Deep Reinforcement Learning Approach

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ABSTRACT Providing reliable connectivity to cellular-connected Unmanned Aerial Vehicles (UAVs) can be very challenging; their performance highly depends on the nature of the surrounding environment, such as density and heights of the ground Base Stations (BSs). On the other hand, tall buildings might block undesired interference signals from ground BSs, thereby improving the connectivity between the UAVs and their serving BSs. To address the connectivity of UAVs in such environments, this paper proposes a Reinforcement Learning (RL) algorithm to dynamically optimise the height of a UAV as it moves through the environment, with the goal of increasing the throughput or spectrum efficiency that it experiences. The proposed solution is evaluated in two settings: using a series of generated environments where we vary the number of BS and building densities, and in a scenario using real-world data obtained from an experiment in Dublin, Ireland. Results show that our proposed RL-based solution improves UAV Quality of Service (QoS) by 6% to 41%, depending on the scenario. We also conclude that, when flying at heights higher than the buildings, building density variation has no impact on UAV QoS. On the other hand, BS density can negatively impact UAV QoS, with higher numbers of BSs generating more interference and deteriorating UAV performance.

INDEX TERMS Experimental measurements, massive MIMO, reinforcement learning, two-tier networks, unmanned aerial vehicles (UAVs).

I. INTRODUCTION

Unmanned Aerial Vehicles (UAVs) can leverage 5G connectivity to perform different applications, such as security surveillance, search and rescue operations, and building inspections. However, providing reliable connectivity to such UAVs is still an open problem, as they present a paradigm shift when compared to their ground counterparts such as smartphones. According to the specifications (release 14 of 3rd Generation Partnership Project (3GPP) [1]), a UAV needs to maintain continuous connectivity with the mobile network at speeds up to 300km/h.

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Previous work, such as [2] and [3], investigates the feasibility of using existing network infrastructure to provide reliable wireless connectivity for UAVs. These studies conclude that currently deployed networks would need to adapt some of their design configurations, such as increasing BS heights [4] or changing the tilt of the antennas [5] so as to enable connectivity for UAVs. Redesigning the terrestrial network infrastructure may be unfeasible, and an adaptable solution on the UAV side may be necessary to accelerate the UAV integration into the network.

Due to the height at which UAVs fly, there are often no obstacles and therefore no blockage between the UAVs and their serving BS. However, at high altitudes, the increased probability of Line-of-Sight (LoS) to ground BSs results in...
high levels of interference at the UAVs. The work in [4] states that the optimal height at which the UAV can fly to maintain reliable communication depends on the BS density and height. Similarly, the authors in [6] show that the vertical movements of the UAV affect their coverage probability.

Motivated by the above, this paper proposes a Reinforcement Learning (RL) approach for dynamic optimisation of the height of a UAV connected to the cellular network once it moves through a city. We propose optimising the altitude of the UAV, separating it from the problem of a horizontal trajectory decision. We separate it from the horizontal optimisation trajectory as in some applications, such as surveillance and organ delivery, the horizontal path will be defined by the application, and only the altitude will have the freedom to be adapted. We evaluate our proposed approach with generated environment and a experimental measurement dataset. We investigate the proposed solution in a generated environment to evaluate which are the main characteristics to influence the approach. In this environment, we vary the BS and building densities to understand if these variables interfere with the optimal UAV altitude.

Then to complement the investigation we adapt the proposed approach to be used with data collected from real-world scenario. To the best of our knowledge, this is the first work to optimise connectivity of a cellular-connected UAV by dynamicaly adapting the height at which it is flying, as well as the first to evaluate a UAV connectivity optimisation approach on experimentally-obtained real-world data. The main contributions of this paper are described bellow:

- We define a problem of optimising Quality of Service (QoS) of an UAV as an RL problem, defining states and actions.
- We propose a solution to adapt the UAV’s height dynamically, which uses Deep Q-Learning (DQN) and replay memory to optimise QoS parameters as the spectrum efficiency and throughput.
- We provide an evaluation of the influence of building density on the UAV height adaptation.
- We provide an evaluation of the proposed solution in a generated environment and using a real-world based dataset.
- We analyse how the proposed solution and the baselines affect the height.

The remainder of the paper is organised as follows. In Section II we discuss the existing work done on the issue of connectivity of UAVs to the wireless network. In Section III we present the system model of our generated environment. In Section IV we introduce the problem statement, where we define the scenario and how the UAV moves. In Section V the design and implementation of our proposed RL solution is explained. We detail the parameters of our RL model, as well as the algorithm. In Section VI, we evaluate our solution for the scenario where we use generated data. In Section VII-A we introduce the real-world dataset and detail small changes on the proposed solution to use this data, then in Section VII, we present the results using the real-world dataset. Finally, in Section VIII, we conclude the paper and discuss the issues that remain open for future work.

### II. UAV MOVEMENT OPTIMISATION: RELATED WORK

The works on trajectory optimisation focus on 2D optimisation and rarely mention the height or the UAV. In this section, we introduce works that optimise the trajectory considering the UAV-BS access link.

In [8], the authors propose optimising the horizontal path of a cellular connected UAV that flies from an initial to a final location, while maintaining reliable communication with the underlying mobile network. This approach proposes that the UAV flies at the fixed minimum height allowed by the regulatory entities. In this study, the authors do not consider the interference from BSs to which the UAV is not connected and blockage from the buildings blocking the link from UAV to BS. To accomplish the study objectives, a graph representation of the network is proposed, with 3 solutions: first, a graph where each node is a BS; second, a graph where the nodes are the handover points between the BSs; and third, where the handover points are the optimal point in an intersection area. Dijkstra algorithm is used to find the route of the UAV and show it is close to the optimal solution. Height optimisation was not considered, and the authors conclude that introducing a height variable to the problem is not a trivial task and that their proposed horizontal trajectory solution is not the most appropriate one for 3D movement. They conclude that it would be unfeasible to represent all the possible heights a UAV could have at all the nodes, as each of them should be a new node increasing the system’s complexity.

The work in [9] creates an optimised path with the objective of maintaining an uninterrupted connection to the BSs. This work only considers the uplink from the UAV to the BS network. This work also highlights the importance of the altitude of the UAV and calculates the upper and lower bounds for the height at which the UAV should fly to satisfy the minimum rate requirements of the uplink, considering the known BSs locations. Authors calculate a range of heights at which the UAV should fly to provide a minimum achievable rate. In addition, building blockage on the link UAV - BS is not considered. With this approach, each UAV decides its next horizontal location. The authors conclude that the altitude is vital to minimise the transmission delay of the UAV and that it should be a function of the ground network density, network parameters as the transmission power, ground network data requirements and the UAV’s action. The exact height of the UAV is not calculated as it would increase the complexity of the algorithm exponentially.

The height planning of a connected UAV is a new field, however several works have studied the height placement of UAVs acting as BSs. The techniques used to optimise the heights at which a UAV acting as a BS should fly can also overlap with our problem of interest as it also consider the radio link between a UAV and a element that is located at lower heights.
TABLE 1. UAV movement optimisation works.

| Paper | Type of UAV | Optimise                  | Method                  | Validation | Available code |
|-------|-------------|---------------------------|-------------------------|------------|----------------|
| [7]   | Connected UAV | Distance to BS           | Graph                   | Simulation | No             |
| [6]   | Connected UAV | Coverage Prediction      | Cauchy’s inequality     | Simulation | No             |
| [8]   | Connected UAV | Horizontal Optimisation   | Graph                   | Simulation | No             |
| [9]   | Connected UAV | Horizontal Optimisation   | Deep RL                 | Simulation | No             |
| [10]  | UAV BS      | 3D position               | Bisection search        | Simulation | No             |
| [11]  | UAV BS      | 3D position               | Particle swarm optimisation | Simulation | No             |
| [12]  | UAV BS      | 3D position               | DQN                     | Simulation | No             |
| This work | Connected UAV | Height Optimisation      | DQN                     | Experiment/Simulation | Yes |

In many examples of the prior art, works on UAV wireless connectivity, either for UAV as network end-user or UAV as BS, did not consider the effect of interference conditions. The quality of the link between UAV and a BS can suffer from interference coming from other BSs, from objects or buildings intercepting the directional connection between them (shadow zone), or even the natural fading on the propagation. The work in [13] assumes UAV as BS and provides coverage to Ground User Equipments (GUEs). The authors propose a sigmoid model to investigate the probability of LoS channel in the UAV - GUE link as a function of the vertical angle between them. In the paper, a UAV with an omnidirectional antenna flies over an urban area. The authors do not consider any source of interference, leaving the link limited with only the path loss. They conclude that a bigger angle decreases the probability of a building block the link. They also add that there exists an optimal height for the UAV BS, which increases the coverage area.

In [14] and [15], authors applied stochastic geometry to model the coverage probability of a UAV-BS network in a fading-free and Nakagami-m fading channel. The authors fix the number of UAVs operating in an area at a certain height above the ground and demonstrate that with an increase in height, the coverage probability decreases. Also, in [15] authors demonstrate that bigger values of fading parameter reduce the variance of the Signal-to-Interference-and-Noise Ratio (SINR) for the GUE.

In [10] authors propose the approach to calculate the 3D position of UAV as a BS, by applying the interior point optimiser of bisection search. Their main objective is to maximise the coverage area by a UAV cell without providing to a GUE a QoS below a threshold. They consider building blockage and non-Line-of-Sight (NLoS) between the UAV as BS and its users. The covered area changes depending on UAV's height, and for the lower density of GUEs the coverage is larger when compared to higher density, showing the worst coverage for urban scenarios.

In [11], the authors find the optimal positions for a network of UAV as BS in order to minimise the number of BSs required to provide the needed QoS for their users. The study considers the blockage generated by buildings in an urban area and NLoS occurrences between the UAV and its users. The proposed solution used an heuristic algorithm based on the number of BS that can serve the GUE, coverage and capacity requirements. The number of users on the network was essential to define the height and number of UAVs as BSs. The authors concluded that with their solution it is possible to decrease the amount of UAV as BS and provide the same quality on data rate.

Similarly, the work in [12] proposes a 3-step solution for horizontal and vertical optimisation for UAV-BSs with different machine learning algorithms for each step. The bounds of the UAV height are the UAV maximum transmission power for its greatest height, and the minimum required distance between the UAV and the users, defined by the regulatory entities, for the minimum height. In the first instance, it considers a static problem, where the users of the network do not move. As a first step, it partitions the area into cells for the UAV-BSs to cover, by applying K-means (GAK-means) algorithm. Next, it uses a Q-learning algorithm, where each UAV is an agent and has to decide its position by learning from its mistakes. As the final step, they consider a scenario where users move between BSs and the network have to adapt to these movements. The authors apply Deep Neural Network (DNN), as it enables each UAV to gradually learn the dynamic movements of the users. They conclude that the proposed solution outperforms the K-means algorithm and IGK algorithm with low complexity.

The UAV-BS scenario defers from the connected UAV problem because the connect UAV moves through the city and do not divide it into cells, so the use of K-mean for clustering, for example, is not applicable. However, the use of RL to adapt its height depending on the cellular network radio technology and the regulatory entities definitions is a valuable insight. To apply DNN into the connected UAV scenario, one needs to investigate what is relevant to a UAV as User Equipment (UE), which are the information a UE has from its mistakes. As the final step, they consider a scenario where users move between BSs and the network have to adapt to these movements. The authors apply Deep Neural Network (DNN), as it enables each UAV to gradually learn the dynamic movements of the users. They conclude that the proposed solution outperforms the K-means algorithm and IGK algorithm with low complexity.

Table 1 provides a summary of the state of the art in connected UAV movement optimisation.

While some existing work has looked into optimising the height of UAV BSs, there is a significant lack of work looking at UAVs when they are the end users. In this paper, we propose dynamically optimising the altitude of the UAV. The proposed solution applies RL to decide, based on environmental measurements, if the UAV needs to move above, below, or stay at the same height in order to experience the best QoS possible from the cellular network in the long run.
III. SYSTEM MODEL

We consider an urban scenario where a UAV flies while connected to the cellular network. The UAV’s initial and final positions are denoted as \((x_1, y_1, z_1)\) and \((x_f, y_f, z_f)\), with \(f\) representing the total number of discrete steps in the experiment. \(x\) and \(y\) denote coordinates on the horizontal plane, while \(z\) denotes height above ground. At each step, the UAV moves in the \(x\) coordinate in direction to its final destination.

A. BUILDING AND BS DISTRIBUTION

The buildings distributed in the area might affect the UAV LoS, as they can block the channel between the UAV and the BSs. In order to check if a signal is in LoS or not, we verify if there is a tall enough building between the UAV and BS. If the signal is blocked by a building, NLoS, it causes the signal to be attenuated, which is reflected in the SINR expression in Equation 1. We use a commonly-adopted model for the urban environment which models the buildings as a square grid with the locations of building centerpoints \((x_{bl1}, y_{bl1})\), that was presented in [16] and used in works as [10], [11], and [17]. The area occupied by each building, \(B_{ls}\), is constant, and the density of buildings, \(Build_{dens}\), is denominated by the number of building per square kilometre. The individual building height, \(h_{bl}\) is randomly distributed according to a Poisson distribution, with scale parameter \(a\).

To define the position of the building centerpoints and BSs we run a Poisson distribution with the building and BS densities as input.

B. UAV AND BS ANTENNAS

The UAV is equipped with one omnidirectional antenna to connect to a serving BS and receive data. The antenna has an omnidirectional radiation pattern, and it has an antenna gain equal to 1. We express the coordinates of the BS which the UAV is associated as \(b_s = \{x_s, y_s\} \in \Phi\) and its horizontal distance to the UAV as \(r\). The BSs that the UAV is not connected will be called as neighbours BSs.

The BS has a directional antenna with a horizontal and vertical beam-width \(\omega\) along with a rectangular radiation pattern; The antenna gain is defined as \(\eta(\omega) = 0\) outside of the main lobe; and \(16\pi/\omega^2\) inside of the main lobe.

Spectrum efficiency \(SE\) is the maximum bit rate that can be transmitted per unit of bandwidth. It is a measure of the QoS in the network. The Shannon–Hartley theorem bounds the maximum achievable rate a user can reach once it establishes a wireless link. As we want to improve user’s experience providing reliable connectivity to UA Vs, our purpose is to increase spectrum efficiency. We calculate the spectrum efficiency value for the calculated SINR based on Shannon–Hartley theorem. The SINR is a function of the antenna gain and channel model and given as:

\[
SINR = \frac{\rho \eta(\omega) c (\Delta x^2 + \Delta y^2)^{-\alpha_t/2}}{I_L + I_N + \sigma^2}
\]

where \(\rho\) is the BS transmit power, \(\alpha_t\) is the pathloss exponent, \(t_s \in \{L, N\}\) indicates whether the UAV has LoS or NLoS to its serving BS, \(\Delta x^2\) and \(\Delta y^2\) is the distance between the BS and the UAV, \(c\) is the near-field pathloss, \(\sigma^2\) is the noise power, and \(I_L\) and \(I_N\) are the aggregate interference from LoS and NLoS, respectively.

C. HORIZONTAL ROUTE ADAPTATION

The UAV horizontal route is defined by an independent approach that focuses on bringing the UAV closer to the BS it is connected. We introduce this adaptation to the horizontal path so we can investigate the independence of the proposed height adaptation method to the horizontal route. The UAV flies in direction to its final destination but approximates its \(Y\) trajectory to get closer to the BS that it is connected by \(d\). At every time step, the UAV connects to the BS with stronger SINR and get closer in the \(Y\) coordinates to this BS by \(d\), being maximum of \(d\) distant to the straight line between \((x_1, y_1)\) and \((x_f, y_f)\) as illustrated in Figure 1b. The focus of our approach is to investigate if the approach is able to adapt the height of the UAV and can adapt to any underlying routes decision that a UAV might take during its path, showing its independence from the horizontal path decisions.

D. UAV-BS LINK

The UAV connects to the BS with the best SINR at all times. Therefore, as the UAV moves through the environment some BSs become stronger and others weaker. When it reaches the point where its serving BS is no longer the BS with strongest signal, it will reconnect to the new LoS with the strongest signal. We assume that this handover occurs seamlessly, and there is no disconnect or loss of signal quality when it happens.

We assume that the UAV will have access to the SINR measurements from the BS it is connected to and from the 5 neighbours BS with strongest signals, the spectrum efficiency it is achieving with the serving BSs, and its height at all steps. SINR and spectrum efficiency data is easily obtained by the UAV from its cellular connection, while the height information is obtained via other UAV sensors located on the UAV.

IV. PROBLEM STATEMENT

In this work, as the focus is on UAV height optimisation and many approaches for optimising 2D trajectories already exist, we assume a simple horizontal path. Note that simplification of the path does not affect the applicability of our proposed approach, as due to its design, it can be integrated with more complex horizontal path algorithms (which are out of the scope of this paper). In other words, the only coordinate that can be optimised is \(z\). We assume that the maximum height change at each time step is \(d\), so \(|z_t - z_{t-1}| \leq d\), where \(\cdot\) denotes absolute value.

Usually, UAVs are allowed to fly in a height range defined by safety regulation, with the minimum allowed height denoted as \(Z_{min}\), and the maximum allowed height as \(Z_{max}\). We assume that the UAV starts at \(Z_{min}\). Figure 1 shows UAVs horizontal movement and vertical movement in the generated
environment analyses. Figure 1a illustrates the possible path of the UAV, where \( d \) is the maximum distance the UAV can move up or down in each step. It is a representation of a limitation of how much a UAV can move realistic up or down and horizontally in a time-step.

Our main objective is to optimise \( z \) coordinate at each step, in order to improve the QoS experienced by the UAV. The metric used to represent the QoS is the spectrum efficiency \( SE \).

We formulate the optimisation problem as follows:

\[
\begin{align*}
\max & \quad \sum_{t=1}^{f} SE(t); \\
\text{s.t.} & \quad z_t > Z_{\text{min}} \quad \forall t \\
& \quad z_t < Z_{\text{max}} \quad \forall t \\
& \quad |z_t - z_{t-1}| \leq d \quad \forall t
\end{align*}
\]

where the objective is to maximise the \( SE \) over the path, considering the constraints of the UAV be inside the allowed altitudes.

We assume that the UAV will have access to the SINR measurements from its connection, the spectrum efficiency \( SE \) of its actual location, and its height at all steps. SINR and spectrum efficiency data is easily obtained by the UAV from its cellular connection, while the height information is obtained via other UAV sensors located on the UAV.

V. PROPOSED SOLUTION

To solve the height optimisation problem for a specific position of the UAV given a particular topology of the BSs and buildings, one could apply stochastic geometry as in [18]. The main issue with this approach is that to represent this problem via stochastic geometry, one has to know the statistical distribution of the features of the environment for each position that the UAV assumes during flight. This can be computationally expensive to run and the environmental statistics may not be accurate to what the UAV would find once it is flying in the real world.

A. RL AGENT DEFINITION

To tackle this issue our solution is based on RL. In particular, we apply DQN as it does not require a predefined model of the environment, since it learns by interacting with the environment in an online manner. The agent of our model is the UAV, as it is the one taking the action of changing the height. Below we define the other main components of our model.

1) STATE SPACE \( S \)

\( S \) is all the possible values of the state, and \( s \) is the individual single value of the state. We just considered in the state space values a normal UE would have from the network and measurements of sensors that a UAV should have to have a safe fly. Follow the components of \( S \):

- Height \( z \): which is obtained by UAV sensors and it is relevant for UAV’s decision-making process, as in order to know whether to move next and stay within the hard limits.
- Received SINR and the strongest 5 SINR of neighbours BSs-SINR\textsubscript{n}: which is obtained by UE sensors to perform the measurement reports. This value impacts the UE QoS that is what we intend to maximise. We choose 5 as these would be the most important interferes to the link UAV-BS and we need to fix a value for the model.
- 4 last \( z \), SINR, SINR\textsubscript{n}, a, r: which will be stored from the previous steps. In order to achieve better optimisation, we extended the state with the four previous \( z \), SINR, action \( a \) and reward \( r \), following the lines of the original DQN implementation [19], as well its implementation in UAV connectivity [20].
The agent has as input at each time step \( s_t \), where \( t \) represents the time step the follow state.

\[
s = \{ \text{SINR}_t, z_t, \text{SINR}_{t-1}, z_{t-1}, a_t-1, r_{t-1}, \text{SINR}_{t-1},
\]

\[
SINR_{t-2}, z_{t-2}, a_{t-2}, r_{t-2}, \text{SINR}_{t-2}, SINR_{t-3}, z_{t-3},
\]

\[
a_{t-3}, r_{t-3}, \text{SINR}_{t-3}, \text{SINR}_{t-4}, z_{t-4}, a_{t-4}, r_{t-4},
\]

\[
\text{SINR}_{t-4}\}\}
\]

2) ACTION SPACE \( A \)
The action is the adjustment of the UAV height. An action \( a \in \{-d, 0, +d\} \) will be taken at the end of each time-step, where:

\[
a = -d \Rightarrow z_{t+1} = z_t - d
\]

\[
a = 0 \Rightarrow z_{t+1} = z_t
\]

\[
a = d \Rightarrow z_{t+1} = z_t + d.
\]

3) REWARD \( R \)
As the primary goal of our approach is to improve the UAV QoS during flight, our reward at each time step \( r_t \) is defined as the spectrum efficiency achieved after the action at point \( x_{t+1} \) at height \( z_{t+1} \) in the experiment.

Our model has two hidden layers, with 200 neurons in each. During our investigations we tried different designs, and the model with 2 layers showed a better performance. Figure 2 illustrates the graphical representation of the proposed DNN.

In our solution, we use epsilon greedy approach, this is an strategy to balance exploration and exploitation in RL algorithms. We selected the initial \( \epsilon = 1 \), where we select an action at random, and we decrease it at every step of the training process until it reaches 0.05, which in our experiment took 30 steps to reach.

B. HYPER-PARAMETERS
We needed to perform a deep investigation to choose the hyper-parameters and design the model. We changed several of the hyper-parameters and inputs of the model until finding the proposed one. These parameters were experimentally selected among a number of model variations in which the number of layers, number of neurons per layer, activation function, number of epochs, regularisation, and the inputs were varied. As we apply experience replay, the epochs are how many times the model is trained with the mini-batch at each time-step. Depending on the complexity of the DQN network (for example number of input features, number and size of layers), the training can be performed in a few steps, or require thousands or larger number of steps. However, for the UAV height adaptation scenario it is imperative to have as few training steps as possible, so that the model can learn to optimise height quickly in any new city environment is applied in. In order to have a fast adaptation in a new environment, the model needs to adapt its weights quickly to not interfere with the UAV performance at the end of the path. For this evaluation, the value of \( \epsilon \) and \( \epsilon \)-decay are 1 and 0.9 respectively, effectively meaning that the proposed model trains in 30 steps. We apply replay memory as a strategy to accelerate the learning process, where at each step the model trains with the mini batch for the number of epochs.

C. RL ALGORITHM FOR UAV HEIGHT OPTIMISATION
The pseudo-code of the RL algorithm to optimise \( z_t \) is shown in Algorithm 1. Some parameters must be chosen and passed as input to the code to run the algorithm. They are the \( Z_{\text{min}} \) and \( Z_{\text{max}} \), the minimum and maximum allowed height that the UAV could fly. \( X \) and \( Y \) are the vectors with the horizontal coordinates the UAV should acquire during its movement.

\[
X = x_1, x_2, ... x_f \quad \text{and} \quad Y = y_1, y_2, ... y_f
\]

as the horizontal path is predefined. \( \epsilon, \epsilon_{\text{Decay}} \) and \( \epsilon_{\text{min}} \) are needed to apply the \( \epsilon \)-greedy approach. The input \( \epsilon \) is the starting value for \( \epsilon \), and \( \epsilon_{\text{Decay}} \) is a value that will multiply \( \epsilon \) and reduce its value at each interaction until \( \epsilon_{\text{min}} \).

\( \beta \) and \( \beta_{\text{min}} \) are, respectively, the batch array and the minimum size of the batch needed to apply memory replay. While using memory replay, the number of \( \text{epochs} \) to train the model and the \( \text{Discount} \) factor to calculate the new Q value \( \text{newQ} \) is required. Finally, \( \text{var} \) is an integer that indicates how often the target model should be updated. The expected output of this algorithm is the UAV next height in the next step.

The first step of the proposed RL-based algorithm for UAV height optimisation is to initialise the DQN model and the target DQN model, lines 1 and 2, respectively. Then we initialise the UAV coordinates in line 3 and initialise variable \( t \), which refers to the timestep the UAV is during the each step. The while statement in line 5 is the overall while loop that represents the full flight path of the UAV, and has as many steps as that set of \( X \) and \( Y \).

Inside the step loop, it is needed to update \( t \) and collect the current value of \( \text{SINR} \) and \( \text{SINR}_t \). Then, we update the state value in \( s_t \). After that, we randomly select a number, \( \text{randomNum} \), and compare its value to \( \epsilon \) in line 10. This step is necessary to evaluate the comparison of the \( \epsilon \)-greedy approach. In line 10, we also check \( t \) value to be at least 4, as we need the state information values from the last 4 states for the input of the model. If the condition is satisfied, which means \( \text{randomNum} > \epsilon \) and \( t > 4 \), we use the DQN model to predict the best action \( a_t \). If the condition is not satisfied, we randomly choose the action \( a_t \). Once the action \( a_t \) is defined, we execute it in line 16, ie modify the UAV height, moving the UAV up or down if it does not go above the permitted flight boundaries (\( Z_{\text{min}} \) and \( Z_{\text{max}} \)). Then, the UAV also moves based on the sets \( X \) and \( Y \) its horizontal coordinates to the next position in line 17. We obtain the reward which represents the quality of our selected action, and is later used to update the learning process. The reward \( r_t \) is equal to the measure throughout after executing the action, as shown in line 18. The \( \epsilon \) decrease value is then performed in lines 19 to 21. The \( \epsilon \) decrease is needed to decrease the amount of random actions we perform once the model is being trained.

After decreasing the value of \( \epsilon \), we then save the new state \( s_{t+1} \) with the action \( a_t \), reward \( r_t \) and the state \( s_t \), in order to
Algorithm 1 RL-Based Algorithm for UAV Height Optimisation

Input: $\beta; \beta_{\text{min}}$; \{Batch parameters\}
$\epsilon; \epsilon_{\text{Decay}}; \epsilon_{\text{min}}$; \{Greedy parameters\}
$d; Z_{\text{min}}; Z_{\text{max}}$; $x_i, y_i, z_i$; \{Coordinates parameters\}
epochs; var: Discount; \{Replay memory parameters\}

1: $\text{DQNModel} \leftarrow \text{InitialiseDQLModel}()$
2: $\text{targetDQNModel} \leftarrow \text{InitialiseDQLModel}()$
3: $(x_t, y_t, z_t) \leftarrow (x_1, y_1, Z_{\text{min}})$
4: $t \leftarrow 0$
5: while $(x_t, y_t) \neq (x_f, y_f)$ do
6:    $t \leftarrow t + 1$
7:    $\text{SINR}_t \leftarrow \text{uav}.\text{GetCurrentSINR}(x_t, y_t, z_t)$
8:    $\text{SINR}_{ns} \leftarrow \text{Get.SINR.Neighbours}(x_t, y_t, z_t)$
9:    $s_t \leftarrow \text{SINR}_t, \text{SINR}_{ns}, z_t, s_t$
10:   $\text{randomNum} \leftarrow \text{RandomNumber}(0 - 1)$
11:   if randomNum $> \epsilon$ and $t > 4$ then
12:      $a_t \leftarrow \text{DQNModel}.\text{predictMaxValue}(s_t)$
13:   else
14:      $a_t \leftarrow \text{Random}(+d, 0, -d)$
15:   end if
16:   $\text{uav}.\text{takeSelectedHeightAction}(d, a, Z_{\text{min}}, Z_{\text{max}})$
17:   $(x_t, y_t) \leftarrow (x_{t+1}, y_{t+1})$
18:   $r_t \leftarrow \text{uav}.\text{GetQoS}(x_t, y_t, z_t)$
19:   if $\epsilon > \epsilon_{\text{min}}$ then
20:      $\epsilon \leftarrow \epsilon \times \epsilon_{\text{Decay}}$
21:   end if
22:   $s_{t+1} \leftarrow a_t, r_t, s_t, \text{removeState}(s_{-4t})$
23:   $\beta \leftarrow \text{StoreTransition}(\beta, s_t, a_t, r_t, s_{t+1})$
24:   if length($\beta$) $> \beta_{\text{min}}$ then
25:      tempBatch $\leftarrow \text{BatchSample}(\beta)$
26:      for $i$ in $1$ : length($\beta_{\text{min}}$) do
27:         $\text{CurrentQValue} \leftarrow \text{DQNModel}.\text{predict}(\text{tempBatch}.\text{state})$
28:         $\text{FutureQValue} \leftarrow \text{targetDQNModel}.\text{predict}(\text{tempBatch}.\text{nextState})$
29:         $\text{maxFutureQ} \leftarrow \text{FutureQValue}.\text{maxValue}(\text{i})$
30:         newQ(i) $\leftarrow$ tempBatch.reward + Discount * maxFutureQ
31:         newQTable $\leftarrow$ CurrentQValue(tempBatch.a(i))
32:         newQTable $\leftarrow$ DQNModel.update(tempBatch.state)
33:      end for
34:      DQNModel.train(tempBatch.state, newQTable, epochs)
35:   end if
36:   if $i$ $\%$ var then \{Updating target model\}
37:      targetDQNModel
38:   setWeights(DQNModel.getWeights())
39: end if

apply the replay memory later. Therefore, we need to discard the most old values from the previous 4, that refer to the $4t$ timestep, so $s_{t+1}$ has only its last 4 timesteps. Once we have the values of $a_t, r_t, s_t$ and $s_{t+1}$, we can save them in the batch $\beta$, which will record the last values in order to train the model later using them.

To apply replay memory, the batch $\beta$ needs to have a minimum size that is determined before the algorithm starts by $\beta_{\text{min}}$. In line 24, we check if this condition is satisfied. If it is not satisfied, we cannot yet apply replay memory. If it is satisfied, a batch sample of size $\beta_{\text{min}}$ is taken from $\beta$ and saved in the variable $\text{tempBatch}$, as illustrated in line 25. For each value in $\text{tempBatch}$ in the loop that starts in line 26, we keep in the variable $\text{CurrentQValue}$ the update of the Q value made by the actual DQN model in line 27. Then, update the Q value for the $\text{tempBatch}$ next state with the target model and save in the variable $\text{FutureQValue}$ in line 28. In line 29, for each value in $\text{tempBatch}$, we store the maximum Q value calculated by the target model in $\text{maxFutureQ}$. In order to update the new Q value in line 30, newQ, for each weight in $\text{tempBatch}$, we weight the formula by Discount the actual reward of the saved values with the calculated $\text{maxFutureQ}$. In possession of the newQ value and the states from $\text{tempBatch}$, we calculate the new Q table in lines 31 and 32, newQTable, with the values of the chosen actions updated. Then we train the model with the $\text{tempBatch}$, the newQTable a number of epochs defined in the input. We then update, or do not update, the target model in line 36 to 38, and come back to the beginning of the loop. The target DQN model increases stability during the replay memory implementation, as the target network only updates its weights at each var step.

The code where we apply Algorithm 1 is available to the community in our public GitHub.\footnote{https://github.com/Erikagpf/DQN-for-UAV-height-adaptation}

VI. EVALUATION

We evaluate how our RL approach can adapt the UAV heights with a purpose to optimise the UAV’s QoS. The main points that we want to evaluate in this section are how the BS density and building densities influence the optimal height of a connected UAV.

We investigate the BS density influence to the UAV height as it can influence the interference suffered on the UAV. Furthermore, as the BSs can be of different heights, the density of the building can also influence the LoS between the UAV and the BSs, which can interfere with the QoS. As it was never investigated if the building density influences the connected UAV, we designed an evaluation on the building density variety and if it affects the approaches.

In order to assess each of these factors separately, we divide this section in three parts. First, we introduce the benchmarks used to compare our proposed approach, then we analyse the mean spectrum efficiency by BS density and building density. Finally, we inspect height changes within each approach. We investigate the mean spectrum efficiency as the QoS metric that needs to be improved, and we show how the approaches behave on the actual height changes. We run the
same algorithm in 100 different Monte Carlo (MC) trials, simulating 100 different cities for each BS and building density. The evaluation always start the model from scratch, so it does not use the trained weights from the last run emulating a new MC trial.

The hyper-parameters that provided the best results and were used in the evaluation of the proposed approach are illustrated in Table 2.

A. BASELINES
We choose five different height selection strategies to which we compare performance of our proposed RL algorithm. For the first one, we use the baseline proposed by Zhang [8], which suggests that the UAV maintain the minimum allowed height during its flight. One of the most common approaches to UAV height selection is to maintain a constant height [2], [4], [5], [21], but there is no consensus on which height value to choose. To make a fair comparison, we also benchmark our approach against two constant height values. These heights will be the maximum possible height (120 m), and half of the maximum (60 m). When following these fixed height strategies, the UAV will begin at the minimum height at timestep 1, before increasing its height in each timestep until it reaches the required height, after which it will make no further adjustments.

To confirm that our solution is actually learning based on observed environment information and not acting randomly, we also compare it to a bounded Random walk height selection strategy, in which the UAV in each timestep randomly selects one of three actions: increase the height, decrease the height, or keep the current height. It is bounded as all the solutions and cannot fly outside the allowed flight range.

In order to compare our solution to a more complex baseline, we implement an approach that we call One-step-ahead solution. In the One-step-ahead approach, the UAV knows whether the maximum SINR in the next time step will be found above or below its current height, and will move up or down (in a fixed increment of d = 10 m) depending on this knowledge. To be able to apply the One-step-ahead solution, the UAV needs previous information about the environment; this is not feasible in a real-world application, but we include this to assess whether and by how much such information would improve performance when compared to our RL approach.

We also compare our RL solution with one based on optimal height at each time step as obtained from the real-world dataset. In this approach, it is assumed that the UAV is able to move to any height in the next timestep, without restrictions of d. This represents the ideal-case performance which would not be possible in a real-world UAV application.

Bellow are benchmark approaches:

- **Zhang [8]**: this benchmark proposes that the UAV should maintain the minimal allowed height at all times.
- **Constant at 60 m**: this benchmark starts at the minimal height, like all others, and then moves up at every step until it achieves 60 m height. After achieving 60 m, the UAV should not move up or down.

![FIGURE 3. Spectrum efficiency per unit of bandwidth (bits/s/Hz) for 3 different BS densities and medium building density.](image-url)
• **Constant at 120 m**: this benchmark starts at the minimal height, like all others, and then moves up at every step until it achieves 120 m height. After achieving 120 m, the UAV should not move up or down.

• **Random walk**: this benchmark chooses its action randomly at each step.

• **Optimal height**: this is a reference benchmark of the maximum possible QoS values. In this approach, the UAV does not have any limitations on the maximum height change from step to step and also know which height has the maximum QoS.

• **One-step-ahead**: this benchmark follows the optimal height next position to decide its next action. If in the next step the optimal height is above the actual height of the UAV, the chosen action will be to move up. If in the next step the optimal height is below the actual height of the UAV, the chosen action will be to move down. In case the optimal height in the next step is the same as the actual height, the UAV should not move.

**B. SPECTRUM EFFICIENCY**

In this section we analyse the mean of spectrum efficiency per unit of bandwidth, that is a mean of the spectrum efficiency over an entire episode, for varying BS densities and building densities. We inspect the spectrum efficiency as this is the parameter that we wish to optimise.

1) **VARYING BS DENSITIES**

To demonstrate how the RL solution can have its performance affected by different BS densities, we study in detail three different BS densities (1, 2.5, 5)/km², denoted as low, medium and high, as illustrated in Figure 3.

Figure 3a shows the mean spectrum efficiency per approach. As expected, the optimal height provides much better spectrum efficiency, achieving median of 23 bits/s/Hz. This happens because it does not have any movement restriction, being able to move any distance from step to step. For low BS density, One-step-ahead, Zhang [8] and the proposed RL approach perform similarly, with all achieving median of 20 bits/s/Hz. The constant height at 240 m is the approach with the worse spectrum efficiency, with 15 bits/s/Hz, showing that high heights for low BS density do not perform as good as other approaches do. Constant at 120 m performed slightly worse than the Random walk approach, with median of 18.5 bits/s/Hz and Random walk approach with 19 bits/s/Hz. It is interesting to note that the approaches do not vary much its mean spectrum efficiency, and all have a relatively small first and third quartile of around 2 bits/s/Hz, with exception of Constant at 240 m with 4 bits/s/Hz.

Figure 3b shows that our RL approach performs better, 4%, then Zhang [8] for medium BS density, and 26% better than Constant at 120 m, Constant at 240 m and Random walk. It indicates that maintaining higher heights at all times provides worse spectrum efficiency for the medium BS and building densities when compared to the proposed RL approach that adapts the height dynamically to the environment. One-step-ahead showed the best performance compared to the approaches that could only move “d”, achieving 14.5 bits/s/Hz, showing that for medium BS density having previous knowledge of the radio characteristics of the environment can improve the UAV QoS.

When investigating the high BS density in Figure 3c, Constant at 120 m and Random walk are the worst solutions achieving 3.5 bits/s/Hz, with the Zhang [8] being slightly better than them, showing that maintaining the lowest altitude for all topologies is not the best approach. The proposed RL approach shows performance comparable to Constant at 240 m, with 4% better performance. Therefore, its third quartile is higher, which means that the RL performed better in more runs. The One-step-ahead approach showed the best performance with its median achieving 9 bits/s/Hz, showing the previous knowledge of the environment can improve UAVs QoS. However, it is unrealistic to expect to have this knowledge for each set of coordinates in the environment.

When analysing a macro view between the different densities, Figure 3 shows that the general mean spectrum efficiency for low BS density is much better than for medium and high BS density, with solutions archiving near 20 bits/s/Hz. We can also analyse that One-step-ahead and the proposed RL solution are always the best approaches for all densities, showing that an intelligent and adaptable decision can provide a good QoS for all densities. Moreover, the proposed RL solution can adapt its response to the environment on the fly without previous knowledge.

2) **VARYING BUILDING DENSITIES**

Figure 4 illustrates the spectrum efficiency for low and high building density. In Figure 4a, the One-step-ahead provides the best approach achieving median of 15 bits/s/Hz, and the proposed RL approach is the second best with 12.5 bits/s/Hz. We can observe that Zhang [8] approach achieves 11.7 bits/s/Hz, that is 6% worse than the proposed RL solution. The Constant at 240 m performs as well as the Constant at 120 m, and both are worse than all other solutions, which show a deterioration for those heights, implying that the UAV would be most of the time in a poor coverage area. Random walk approach performed slightly better then the higher constant approaches, showing that the Random walk movement of the UAV is comparable to maintaining high constant values.

Figure 4b illustrates the mean spectrum efficiency for high building density. It shows a similar pattern when compared to the low building density, with One-step-ahead being the best approach and the proposed RL solution being slightly better, 2%, than Zhang [8]. We can conclude that since it has no impact, it is providing an indication that building density is not a factor that needs to be taken account when determining UAV’s height. It shows that that same approach should work in density urban areas and rural ones. As an overall performance between the three different densities, we discovered that the difference in the building density when the UAV is flying above the buildings did not influence
C. HEIGHT VARIATION

While in the previous section we focus our analyses on the spectrum efficiency of each approach, in this section we inspect in more detail underlying height variations that achieve the discussed performance.

To make a more detailed investigation over the 100 MC trials, Figure 5 illustrates the mean of the heights for different BS and building densities. The constant approaches have no variance on the height after they achieve their constant heights. In Figure 5a, the average height of the optimal height approach varies with the BS density, being lower for low BS density, and higher for high BS density. As we can notice, the intelligent approaches, One-step-ahead and the proposed RL solution, adapt their altitude to the one that better serves the BS distribution, also increasing its heights when the BS density increases. The Random walk approach, as it does not consider any information of the environment, it also maintains, in average, the same height in all cases.

When we analyse in Figure 5b the height adaptation by the building density, the optimal height is not related with the density. The approaches does not change its mean height considerably during the different building densities. The RL approach varies from 68 m in medium building densities, to 83 m in high building densities.

Observing behaviours for both BS and building densities, we conclude that RL is a competent approach to solve UAV height optimisation. As we can see in Figure 5, the RL solution demonstrated to be learning the best height, resulting in a spectral efficiency improvement. We can also conclude that the RL approach does not make changes on its height at all steps, making intelligent changes when needed and avoiding spending extra energy to move its height at all steps.

VII. REAL-WORLD DATA EVALUATION

In this section, we evaluate how our RL approach can adapt the UAV heights with the objective to optimise the total throughput. We first introduce the experimental measurement data-set and then provide a detailed evaluation of the proposed solution using the real-world dataset.


A. EXPERIMENTAL MEASUREMENT DATASET

To evaluate the proposed height adaptation solution, we also use the real-world measurements obtained by a UAV connected to a two-tier cellular network in two different areas of Dublin city’s Smart Docklands, which includes massive Multiple Input Multiple Output (MIMO) macrocells and MIMO small cells. Below, we recap the details of the experiment relevant for our evaluation, while full details of measurements are presented in [22].

The experimental cellular network testbed, in which the measurements were conducted, is shown in Figure 6. The macrocells are a ZTE model ZXSDRB8300 with a 64 element antenna array Massive MIMO system, which is positioned 29 meters above ground. The lamp post small cells are Air-Speed model1250 with 4 antenna elements that apply 2 x 2 MIMO. Both the macrocell and the small cells operate on the B42 channel of the 3.6GHz frequency band. The small cells operate on the frequency range 3410-3430 MHz, while the macrocells operate at 3580-3600MHz. The macrocell antennas have a 15 degree Half-Power Beamwidth (HPBW), and the small cell antennas have 90 degree HPBW. The maximum transmit power of the macrocells and small cells is 49.9dBm and 25dBm, respectively. The small cells wirelessly backhaul into the macrocell tier using the macrocell B42 channel, in effect acting as relays between the UE and the macrocell. The two-tier network has a hierarchical cell structure [23], where the small cell tier have a higher connection priority than the macrocell tier. This means that a UE will prioritise connecting to the small cells even if it detects a stronger signal from a macrocell.

Connectivity data was collected in two environments: Grand Canal Quay (GCQ) and North Wall Quay (NWQ), as illustrated in Figure 6. The UAV flew at a fixed height back-and-forth in the designated areas. This flight pattern was repeated at 10 meter increments for all heights between 30 and 120 meters (the legal flight ceiling in Dublin).

Table 3 summarises the main characteristics of the experimental environment for NWQ and GCQ. The Table shows:

| Variable                  | NWQ Value | GCQ Value |
|---------------------------|-----------|-----------|
| BS height                 | 6.5m      | 29m       |
| Speed                     | 4.2 m/s   | 2.6 m/s   |
| UAV travel distance       | 1160 m    | 890 m     |
| Steps                     | 161       | 171       |
| Horizontal step size      | 7.2m      | 5.2       |
| Allowed UAV height range  | [30 – 120]m | [20 – 120]m |
| Building height variation | 10 m      | 10 m      |

The height of the BS antennas; the velocity the UAV was flying; the total distance the UAV passed in each height; the quantity of measurements reports in each area, denoted as steps; the size of each step in meters; the variation of heights; the building height variation; and the distance d in each scenario. The measurements were reported every 2 seconds most of the time. We also observe that the flight in NWQ resulted in fewer measurements despite being the one where the UAV flies for a longer distance. While a UE is performing handover, it does not sense the spectrum; consequently, it does not report any measurement. In the small cell area, the UAV was performing handovers, which resulted in fewer measurement reports when compared to the macrocell area, where the UAV did not perform measurement reports.

In order to use the proposed approach with the available real-world data we had slightly modify the definition of an RL agent. In the real-world data the QoS information available is the throughput, so we used this information instead of the spectrum efficiency in the proposed solution. The real-world dataset also had no information about the sensed neighbours, so we do not include this as input of the model. The remainder or the algorithm is exactly the same as in the generated environment. The final state space of the adapted solution is: 

$$ s = \{\text{SINR}_1, z_1, \text{SINR}_{r - 1}, z_{r - 1}, a_{t - 1}, r_{t - 1}, \text{SINR}_{a - 2}, z_{a - 2}, a_{t - 2}, r_{t - 2}, \text{SINR}_{t - 3}, z_{t - 3}, a_{t - 3}, r_{t - 3}, \text{SINR}_{t - 4}, z_{t - 4}, a_{t - 4}, r_{t - 4}\} $$

A sample of the used data is illustrated in Table 4.

B. EVALUATION OF THE PROPOSED RL APPROACH

We evaluate performance of our approach in two different sets of real-world data: data collected in NWQ, with small cell connectivity, Section VII-B1, and data collected in GCQ, with macrocell connectivity, Section VII-B2. We start the evaluation with the throughput analysis, followed by the analysis of the height adaptation through the path. We evaluated the model after the training phase in this section. The results shown are related to the last 100 UAV steps.

1) NWQ ANALYSIS

Table 5 presents the average throughput of the investigated approaches; for non-deterministic solutions, which means the ones that might change at each run, we present a mean over 100 trials. We inspect the throughput as it is our parameter that we wish to optimise. By construction, the Optimal height at each step leads to the highest throughput. Therefore, we consider the Optimal height at each timestep to be the one with the highest throughout at that timestep. Our proposed
The approach achieves 37 Mbps with a variance of 1 Mbps, which is the highest throughput on the feasible solutions. One-step-ahead achieves 35 Mbps, that is the second highest. The approach proposed by Zhang [8] performs similarly to the One-step-ahead solution with 35 Mbps, with the added benefit of not needing a priori knowledge of the environment. Nonetheless, our proposed RL approach provides the best throughput and outperforms Zhang [8] and the One-step-ahead benchmarks by 6%, also resulting in lower variation in UAV heights when compared to the One-step-ahead approach. It is worth noting that the solutions that maintained large heights, as Constant at 60 and 120 m, do not perform well when compared to those that maintained lower heights. One possible explanation for this is that at greater heights a UAV might have been experiencing increased interference from cells it was not connected. Another possibility is antenna misalignment: as the small cells are designed for ground users, their antennas are directed towards the ground, which means that the aerial UAV receives signals primarily from antenna side-lobes.

Figure 7 evaluates an example run, different than Table 5 that evaluates the approach performance after 100 trials. To generate Table 5 we needed to calculate the mean over the throughput mean of each run, losing information of the throughput variation through the path. With the analyses of one single run, we can verify how the throughput and height vary through the path. Figure 7a presents box plots for the throughput in Mbps for all approaches obtained across the last 100 steps of one example run. Our RL approach shows a stable value for the obtained throughput, with its first and third quartile being 36 to 41 Mbps (the box denotes that 50% of the data is in this range), respectively, and with median 40 Mbps. On the other hand, one can observe a considerable interquartile range from 18 to 34 Mbps in the throughput for the Random walk approach, as well as for the approaches that maintain the height Constant at 60 m and 120 m. This more significant variance is likely due to the randomness of the Random walk approach and to the fact that at greater heights of the constant strategies, the coverage from several cells is more unpredictable, as the UAV may be connecting to the side lobes of different antennas. Approaches as One-step-ahead and Zhang [8] have a bigger interquartile when compared to the proposed RL approach, with Zhang [8] being between 32 to 40 Mbps, One-step-ahead between 31 to 41 Mbps, and the RL approach between 36.5 Mbps to 41 Mbps. Although in the One-step-ahead, Zhang [8] and RL happens outliers (in the figure represented as the dots outside the box) that means that at some points of the path, the measured throughput was much lower than most of the path. Interestingly, the Optimal height median throughput is only 6% better than our RL-based approach, despite it unrealistically assuming instant jump from any height to any other height is possible, showing that the proposed method is close to optimal.
Figure 7b shows how the different adaptive strategies adjusting the UAV height at different steps in a single sample run for the last 100 steps. We inspect the individual height adaptation to understand how each of the approaches behave in a real path and have an idea of how many adaptation were needed to achieve their respective throughput. We do not illustrate Zhang [8], Constant at 60 m and Constant at 120 m because their values are constant. We can observe that our proposed RL-based solution maintains the UAV height low all the path, with only 3 changes in the UAV height on the last 100 steps. On the other hand, we can see that the Optimal height at each step changes substantially, indicating that even if one knew in advance at which height the optimal connectivity was obtained, the UAV would not be capable of reaching these heights in every timestep, as the height change from one step to another could be in the order of 90 m. The One-step-ahead approach follows the Optimal height, and also moves constantly trying to achieve the Optimal height approach. In this example, the Random walk approach started the last 100 steps at higher heights and it moved randomly through the steps in a up and down movement, and sometimes, did not move, as expected.

2) GCQ ANALYSIS

Table 6 shows the average throughput for the GCQ area over 100 trials. Same as in NWQ, we aim to analyse the throughput as it is the variable that we intent to optimise. The Random walk approach provided a throughput of 50 Mbps, better then the constant approach at 60 with and 120 m that achieve. The constant approaches that lead to the UAV flying at larger heights result in lower throughput compared to all other approaches, obtaining 41 Mbps, which is only 59% of the throughput achieved by our RL approach. In this scenario, our RL solution also performed better than all benchmarks achieving 70 Mbps in average, while the Zhang [8] approach and One-step-ahead being in second, achieving 68 Mbps. The results of the One-step-ahead approach show that having a priori knowledge of the environment is sometimes not enough to provide the best throughput. As a reference, the Optimal height achieved around 19% better throughput than the proposed RL approach, which showed to be considerate more than in NWQ area. One explanation of the difference in the distance between the Optimal height and the other methods is due to the fact that the optimal approach changed more drastically its height through the path, making it impossible for any other approach to achieve closer to the same throughput as they were limited by “d”.

Table 6. Mean throughput (Mbps) over 100 trials. Based on flight data obtained in the GCQ area.

| Approach            | Throughput |
|---------------------|------------|
| Zhang [8]           | 68         |
| Constant at 60 m    | 41         |
| Constant at 120 m   | 41         |
| Random walk         | 50 ± 4     |
| One-step-ahead      | 68         |
| Optimal height      | 83         |
| RL                  | 70 ± 2     |

As in the NWQ area, Figure 8 evaluates an example run, different than Table 6 that evaluates the approaches performance after 100 trials. In Figure 8a, we investigate the stability of each of the approaches, with the box plot representing throughput across last 100 steps. Both, RL and Zhang [8] approaches, achieve median throughput of 74 Mbps, as well as exhibiting low variance. Both achieve the lower quartile at 65 Mbps, but at the third quartile, the RL proposed approach provides 2 Mbps more than Zhang [8], meaning that it provided better throughput for some time in the path. This behaviour is similar to the one in the NWQ area, although the throughput results for the other baseline approaches are significantly different. In particular, the approaches that keep the UAV height Constant at 60 and 120 m show lower variance than for the data set obtained in the NWQ area. Possibly this difference is because the UAV connects to only one macro BS in NWQ area, which leads to greater stability in the throughput. On other hand, One-step-ahead provides high variance through its path, with its median being close the proposed RL approach, in 70 Mbps, and its first and third quartile been between 47 Mbps and 78 Mbps. The Random walk approach shows a small variance on its quartile, although it also shows many outliers. As the behaviour is random, the outliers showed a significant variation of the throughput. However, on average, it manages to maintain a throughput near its median of 46 Mbps.
Figure 8b illustrates how the different strategies adjusted the UAV heights when flying in the GCQ area. As in the NWQ area, we inspected the individual height adaptation to understand how each of the approaches behave in a real path and have an idea of how many adaptation were needed to achieve their respective throughput for the GCQ area. Here, we observe that our proposed solution maintains a low height when flying near a macrocell deployment maintaining its height at 20 m or 30 m at all times. Also, we note that the Optimal height at each step requires significant changes in the UAV height from step to step for example. The One-step-ahead approach follows the Optimal height and moves up and down 50 times for these 100 steps. In this example run, the Random walk approach starts at a higher height and keeps moving randomly until move to the lower heights.

VIII. CONCLUSION
In this paper, we presented a RL-based approach to optimise the height at which a mobile cellular-connected UAV should fly. Our primary objective was to increase the UAV’s average QoS. We evaluated the proposed approach in a generated environment and varied BS density and building density. We also evaluated our approach using a experimental dataset based on real data obtained from a UAV carrying a smartphone in two locations of Dublin city centre [22]. The performance achieved in both scenarios was comparable, where the proposed RL approach was shown to be successful in both environments, providing an improvement of 6% compared to other approaches, including the ones that had access to additional priori information about the environment. We conclude that for low BS density the UAV usually maintain higher QoS then when compared with higher BS densities. We concluded that the variance of building density when the UAV is flying over them does not change UAV’s QoS.

However, we believe that there is a threshold to be considered when using the proposed solution. For example, if the UAV need to inform its exact location prior to the flight, a good approach would be the one proposed by Zhang [8], where it maintains the lowest possible height through the flight. However, if the QoS of the connection is mission-critical UAV priority and the UAV can adapt its location during the flight, the UAV could use the proposed RL solution.

IX. DISCUSSION
During the development of the research, we tried several different configurations of the RL model, and different inputs until we arrive at the present approach. A big challenge was to find a model that could learn with a small number of interactions and could still improve the UAV’s QoS. Another challenge faced was the lack of real-world data for validation of the approach. We just had access to the dataset generated by our team, and could not validate the work in other areas of the world.

As a topic for future work, we are interested in evaluating how much energy is associated with the height changes and how to incorporate this factor into the height adaptation decision. An additional challenge that we plan to investigate is how to jointly adapt the horizontal and vertical trajectory of a cellular-connected UAV in order to improve its QoS.

Another aspect that can be investigated is the choice of which BS the UAV connects to so that the network is not negatively impacted by handover events. The selection of the connected BS can also be optimised in order to increase QoS in the long term, considering the penalties introduced by frequent BS handovers.

The code used in this study is publicly available on GitHub for the research community.

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