The electrochemical reduction kinetics of oxygen in dimethylsulfoxide

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ABSTRACT

The quasi-reversible one-electron reduction of oxygen in dimethylsulfoxide is reported for a range of electrode materials (C, Pt, Pd, and Au) and temperatures (293–343 K). Modelling was undertaken using Butler-Volmer and symmetric Marcus-Hush methods, with the former found to provide more reproducible results for this system, in agreement with previous reports of quasi-reversible systems. The reorganisation energy for the reaction was found to be ca. 1.0 eV, and the reaction confirmed to be predominantly outer-sphere. The observed standard electrochemical rate constant \( k_0 \) is ca. 5.7 times faster for C electrodes than Pt, despite having a lower electronic density of states.

1. Introduction

The oxygen reduction reaction (ORR) is of fundamental importance to many electrochemical energy applications, for example metal-air batteries and fuel cells. In the case of reactive metal-air (or oxygen) batteries, aprotic solvents are commonplace and dimethyl sulfoxide (DMSO) is widely used [1,2]. A detailed understanding of the kinetics of oxygen reduction in DMSO is therefore desirable, including any effects of electrode material on the kinetics. It is anticipated that such studies may help inform aspects of (metal-air) battery and fuel cell design.

Furthermore, the complexity of the aqueous ORR has led some workers to seek proxy systems, especially for theoretical studies where aprotic solvents provide the simplest ORR, with quasi-reversible one electron transfer (Eq. (1)). DMSO is an interesting experimental system due to its miscibility with water and potential for mixed-solvent ORR studies.

\[ \text{O}_2 + e^- \rightarrow \text{O}_2^\cdot \]  

(1)

For the one-step electron reduction of oxygen the kinetics can be most easily described using either the Butler-Volmer or Marcus-Hush approaches [3]. The ubiquitous Butler-Volmer model relates the reductive and oxidative electron transfer rate constants for Eq. (1), to the overpotential \( (E - E^\circ) \) via a transfer coefficient \( (\alpha or \beta) \) and a standard heterogeneous electrochemical rate constant \( k_0 \):

\[ k_{\text{red}} = k_0 \exp \left( \frac{-\alpha F (E - E^\circ)}{RT} \right) \]  

(2)

and

\[ k_{\text{ox}} = k_0 \exp \left( \frac{+\beta F (E - E^\circ)}{RT} \right) \]  

(3)

where \( F \) is Faraday’s constant, \( R \) the universal gas constant and \( T \) the absolute temperature.

The symmetric Marcus-Hush (SMH) model has become increasingly used to gain insight into the physical process at the molecular level [4–8]; in the case of a diffusional outer-sphere electron transfer process, the SMH defines the standard electrochemical rate constant, \( k_0 \), as:

\[ k_0 = \frac{2\pi^{1/2} \hbar |H_{0A}|^2}{\beta \hbar N^{1/2}} \exp \left( -\frac{\Lambda}{4} I(0, \Lambda) \right) \]  

(4)

where \( \rho \) is the density of electronic states of the electrode material, \( H_{0A} \) is the electronic coupling matrix between the electrode and electroactive species (donor and acceptor) at their closest distance of approach, \( \beta \) in this context is the electronic coupling attenuation coefficient (linked to \( H_{0A} \)), and \( h \) is Planck’s constant [7,8]. The parameters \( \Lambda \) and \( I(0, \Lambda) \) are given by:

\[ \Lambda = \frac{E}{RT} \]  

(5)

and

\[ I(0, \Lambda) = \int_{-\infty}^{\infty} \exp \left( -\frac{\alpha - E^\circ}{4 \beta} \right) \frac{d\epsilon}{2 \cosh \left( \frac{\epsilon}{2} \right)} \]  

(6)

where

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\[ \theta = \frac{F}{RT}(E - E_0^0) \]
and where \( \lambda \) is the Marcus reorganisation energy and \( \epsilon \) is an electronic state, with \( k_0 \) defined at \( \theta = 0 \). \([7,8]\)

The one-electron reduction of dioxygen to superoxide is usually treated as an outer-sphere electron transfer, regardless of electrode material or solvent \([9]\). Here we report a study of the electro-reduction kinetics of oxygen dissolved in DMSO, varying electrode material and temperature to determine the reorganisation energy of Eq. (1) and the source of material-effects on the kinetics in the absence of a classical surface-analyte bond (inner sphere) interaction.

2. Experimental

The following chemicals and gases were obtained commercially and used without further purification: potassium chloride (Sigma Aldrich, > 99%), hexaammineruthenium (III) chloride (Sigma Aldrich, > 99%), tetra-n-butylammonium perchlorate, (TBAP, Fluka, < 99%), potassium nitrate (Sigma Aldrich > 99.9%), dimethyl sulfoxide (DMSO, Sigma Aldrich > 99%), nitrogen (oxygen-free, BOC Gases plc), and oxygen (N5 grade, BOC Gases plc). DMSO was stored over molecular sieves (here 25 mV s\(^{-1}\) ). The value of \( k_0 \) was determined from a Tafel plot \([7,8]\).

All solutions were made with sufficient inert electrolyte to be fully supported and thoroughly purged with either nitrogen or oxygen as appropriate. In addition, the aqueous solutions used for electrochemical calibration of electrodes were made with ultrapure water of resistivity not < 18.2 M\(\Omega\)cm (milliQ, Millipore). Variable temperature experiments were conducted by heating the solution in a thermostatted water bath (with the reference electrode within the thermostatted reaction cell), with temperature measurements confirmed via a mercury thermometer.

Electrochemical measurements were made using a three electrode arrangement in a faraday cage, controlled by a PGStat128N potentiostat (Metrohm-Autolab BV, Utrecht, NL). A saturated Ag/AgCl leakless reference electrode and bright platinum mesh counter electrode were used. The working microelectrodes used were carbon, platinum (both from BASI Inc.), platinum and palladium (both fabricated in-house), and were all of microwire-in-glass construction. The radii of the working microelectrodes employed were confirmed via steady state linear sweep voltammetry of the reduction of 1 M hexaammineruthenium(III) chloride in 0.1 M KNO\(_3\), and were calculated to be as follows: C 4.8 \(\mu\)m, Pt 5.0 \(\mu\)m, Pd 12.2 \(\mu\)m, and Au 10.9 \(\mu\)m. A Pt macroelectrode (radius 2.5 mm) was used for diffusion coefficient measurements.

3. Results & discussion

First, linear sweep voltammetry (LSV) was used to determine the diffusion coefficients and saturated concentration of dioxygen in DMSO at different temperatures using a Pt microelectrode and macroelectrode. The measured steady-state limiting and peak currents (\(I_{lim}\) and \(I_p\) respectively) from these scans were compared to determine the diffusion coefficient, \(D\), according to Eqs. (1)-(3) for a 1e\(^{-}\) transfer \([3]\).

\[
I_{lim} = 4FCD_{td}
\]
\[I_p = (2.99 \times 10^5)\pi R^2 C (\alpha D\alpha)^{1/2}\]

Therefore

\[
\frac{I_{lim}}{I_p} = 0.41\left(\frac{D}{R^2}\right)^{1/2}(\alpha)^{1/2}
\]

where \( F \) is the Faraday constant, \( r_d \) is the microdisk radius, \( R \) is the macrodisk radius, \( \alpha \) is the transfer coefficient and \( \nu \) is the voltage scan rate (here 25 mV s\(^{-1}\)). The value of \( \alpha \) was determined from a Tafel plot of the Pt macroelectrode LSV and confirmed through modelling of the

![Fig. 1. The variation of diffusion coefficient of oxygen (■) and \([O_2]\text{sat} (○) with temperature in a solution of 0.1 M TBAP in DMSO.](image)

Table 1 Fitted Bv parameters for variable temperature linear sweep voltammetry of oxygen reduction at 4 different electrode materials.

| T/K | Platinum | Carbon |
|-----|----------|--------|
|     | \(k_0\)/10\(^{-3}\) cm s\(^{-1}\) | \(E_0^0/V\) | \(k_0\)/10\(^{-3}\) cm s\(^{-1}\) | \(E_0^0/V\) |
| 293 | 7.5 | 0.36 | -0.520 | 4.3 | 0.41 | -0.495 |
| 303 | 10.0 | 0.34 | -0.462 | 6.2 | 0.42 | -0.366 |
| 313 | 14.0 | 0.37 | -0.340 | 8.0 | 0.42 | -0.270 |
| 323 | 20.0 | 0.33 | -0.365 | 9.9 | 0.39 | -0.270 |
| 333 | - | - | - | 13.5 | 0.39 | -0.315 |
| 343 | 30.0 | 0.44 | -0.360 | 17.5 | 0.36 | -0.330 |

| Palladium | Gold |
|-----------|------|
| \(k_0\)/10\(^{-3}\) cm s\(^{-1}\) | \(E_0^0/V\) | \(k_0\)/10\(^{-3}\) cm s\(^{-1}\) | \(E_0^0/V\) |
| 293 | 4.0 | 0.35 | -0.755 | 6.0 | 0.39 | -0.500 |

Fig. 2(a) illustrates the variation in \(k_0\) with electrode material at
293 K, the values for transfer coefficient being approximately within experimental error of each other. The literature only reports values for the reduction of oxygen on glassy carbon and graphite [10,11], and finds $k_0$ values of $3.2 \times 10^{-2}$ cm s$^{-1}$ and $2.75 \times 10^{-2}$ cm s$^{-1}$ respectively, which are in good agreement with the value found here for a carbon fibre microelectrode. It is noticeable from Fig. 2 that the rate constants for oxygen reduction at the metallic electrodes are approximately within experimental error of each other, whilst the rate constant for carbon is significantly higher. This latter observation is similar to that by Nissim et al. [18] where the heterogeneous rate constant for the reduction of a series of quinones in acetonitrile also showed a clear dependence on the electrode material.

To confirm that the reduction is outer-sphere at both surfaces, plot of the variable temperature data was constructed and shown in Fig. 3. Combining Eqs. (4) and (5):

$$\ln k_0 = \frac{-\Delta F}{4RT} + \ln \left( \frac{2\pi a^3 p^2 I_{0}}{\beta h N^{3/2}} \right)$$

(11)

yields approximately equal gradients for Pt and C of $-2.92 \times 10^3$ K$^{-1}$ and $-2.79 \times 10^3$ K$^{-1}$ respectively which, using Eq. (11), correspond to reorganisation energies ($\lambda$) of 1.00 eV (97.1 kJ mol$^{-1}$) and 0.96 eV (92.8 kJ mol$^{-1}$).

This observation strongly suggests that the reorganisation energy is dominated by solvent reorganisation and hence the reduction is outer-sphere in nature. For comparison, Hartnig and Koper [9], modelled the first reduction step of dioxygen in aqueous media via DFT and concluded that it is outer-sphere with values for the inner and outer-sphere components of the reorganisation energy of 10 kJ mol$^{-1}$ and 60–80 kJ mol$^{-1}$ respectively.

In many cases, the solvent reorganisation energy ($\lambda_{os}$) is calculated via the Born solvation energy [19]:

$$\lambda_{os} = \frac{e^2\gamma}{4\pi \varepsilon_0 \eta} \left( \frac{1}{a} - \frac{1}{2d} \right)$$

(12)

where $e$ is the electronic charge, $\varepsilon_0$ is the permittivity of free space, $\gamma$ is the solvent Pekar factor ($=0.437$ for DMSO [20]), $a$ is the molecular radius and $d$ is the distance from the plane of reaction to the electrode surface (commonly taken as $\infty$ following Hale [21]).

The molecular radius in Eq. (11) is often taken as the solvodynamic radius [22–25] derived from the measured diffusion coefficient and the Stokes-Einstein equation:

$$D = \frac{k_B T}{F \pi a^3}$$

(13)

where $k_B$ is the Boltzmann constant, $T$ the absolute temperature, and $\eta$ the solvent viscosity (1.996 mPas for DMSO [20]). Here $P$ is a constant that depends on the shape and relative size of the solute molecule: the most commonly-used limiting values of 4 and 6 relate to a spherical molecule that is either of a similar size to the solute molecules, or considerably larger [26]. In the present case, however, the oxygen molecule is smaller than solvating molecules: Eyring proposed using $P$ values as low as 1 for such cases of small-molecule diffusion [27], but this is not widely adopted and studies generally report empirical relationships for specific solute-solvent combinations that account for the observed diffusion coefficient values [26,28–30].

The observed mean solvent reorganisation energy of 0.98 eV (Fig. 3) implies $a = 3.21$ Å (at 293 K) via Eq. (12) and therefore $P = 1.276$. This molecular radius compares with the Van der Waals radius of 1.52 Å [31], and the radius derived from molecular volumes of 3.03 Å [28,30]. This highlights the limitations of the application of Eqs. (12) and (13) to cases of small molecule diffusion – the breakdown of the solvent-continuum model manifests itself as inaccurate $\lambda_{os}$ and $a$ values, and indicates that stochastic models are required.

Since the electron transfer is overwhelmingly outer-sphere in nature, differences in the observed standard heterogeneous rate constant are due to the pre-exponential factor in Eq. (4), and hence the ratio of the values of $k_0$ for C and Pt (ca. 5.7 ± 0.7) is governed by:

$$\frac{k_0(C)}{k_0(Pt)} = \frac{\rho(C)h_{0A}(C)^2\beta(Pt)}{\rho(Pt)h_{0A}(Pt)^2\beta(C)}$$

(14)

In order to quantify the relative density of states (DoS, $\rho$) in this study, it was necessary to measure the potential of zero charge of both electrodes in the electrolyte solution (see Supporting Information). Therefore, cyclic voltammograms were recorded at a scan rate of 25 mV s$^{-1}$ at a range of potentials in a solution of 0.1 M TBAP in DMSO which had been thoroughly purged with nitrogen. By measuring the capacitive current and finding its minimum value [18], the potentials of zero charge were estimated to be $+0.55$ V and $+0.80$ V for Pt and C electrodes respectively, leading to values of $(E_{P}^0 - E_{PZC})$ at 293 K of $-1.07$ V (Pt) and $-1.295$ V (C). The corresponding densities of states at these potentials for graphite C is in the range of 0.08 states atom$^{-1}$ eV$^{-1}$ [32], whereas the DoS for Pt is ca. 1.15 states atom$^{-1}$ eV$^{-1}$ [33,34], comprising of sp$^2$ and d-band contributions of approximately 0.3, and 0.85 states atom$^{-1}$ eV$^{-1}$ respectively [33].

The relevance of which orbital bands contribute to the DoS was highlighted by Gosavi and Marcus [34], who showed that the rate of non-adiabatic electron transfer is not linearly proportional to the total
DoS; rather for a detailed understanding of the source of the difference in $k_0$, it is necessary to consider the individual electronic coupling elements ($H_{0k}$) for each of the bands. They reported the relative effectiveness of the sp-band states was 11.2 times greater than the d-states, despite the d electrons being at the Fermi level [34]; the d-band generally couples weakly to the outside environment and so it has little influence over the electrochemical rate constant [34].

Hence we conclude that the $k_0(C)/k_0(Pt)$ ratio is determined by the sp-bands, the matrix elements for their (donor-acceptor) coupling with a reactant oxygen molecule, and associated attenuation coefficients ($\beta$). The reported specific adsorption of DMSO onto Pt and Au electrodes will undoubtedly have an effect [35] upon the plane of closest approach of reactants. The effect on solvent on the kinetics is clearly significant even where the reactant is common and the electrode material varies: for example in the aqueous electrochemistry of oxygen [36] will have an effect upon the plane of closest approach (including specific vs. non-specific adsorption) can have profound effects on the energetics of electron transfer.

4. Conclusions

The reduction of oxygen in DMSO has been shown to proceed via a predominantly outer-sphere mechanism with an activation energy of 0.98 ± 0.02 eV, and has some sensitivity to the electrode surface material. The heterogeneous rate constant is nearly 6 times faster on graphitic carbon fibre than Pt, Pd or Au, despite the metallic electrodes having a higher total electronic density of states at the formal potential. The rate appears to be determined by a combination of (i) the relative densities of states of the sp-bands (not the total DoS), and the coupling matrix elements of them to the oxygen (acceptor), and (ii) the attenuation coefficients and possible effects of specific adsorption.

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Appendix A. Supplementary data

Supplementary data to this article can be found online at https://doi.org/10.1016/j.jelechem.2018.09.052.

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