Competition between Pauli and orbital effects in a charge-density
wave system

J. S. Qualls¹, L. Balicas¹,², J. S. Brooks¹, N. Harrison³, L. K. Montgomery⁴, and M.
Tokumoto⁵

¹National High Magnetic Field Laboratory, Florida State University, Tallahassee, FL 32306, USA
²Instituto Venezolano de Investigaciones Científicas, apartado 21827, Caracas 1020A - Venezuela
³National High Magnetic Field Laboratory, LANL, MS-E536, Los Alamos, NM 87545, USA
⁴Department of Chemistry, Indiana University, Bloomington, IN 47405, USA
⁵Electrotechnical Laboratory, Tsukuba, Ibaraki 305, Japan

Abstract

We present angular dependent magneto-transport and magnetization mea-
surements on α-(ET)₂Mᴴg(SCN)₄ compounds at high magnetic fields and
low temperatures. We find that the low temperature ground state under-
goes two subsequent field-induced density-wave type phase transitions above
a critical angle of the magnetic field with respect to the crystallographic axes.
This new phase diagram may be qualitatively described assuming a charge
density wave ground state which undergoes field-induced transitions due to
the interplay of Pauli and orbital effects.
Low dimensional electronic systems characterized by a quasi-one-dimensional (Q1D) Fermi surface tend to form either a charge-density wave (CDW) or a spin-density wave (SDW) ground state at low temperatures as a consequence of one-dimensional instabilities [1,2]. High magnetic fields have proved to be useful to investigate, and even manipulate these ground states, since the effects are quite different for the CDW and the SDW cases. The Zeeman (Pauli) energy is expected to suppress a CDW state because a CDW couples only bands with the same spin. In a magnetic field it is not possible to have the same nesting wave vector $Q$ for both spin-up and spin-down bands (see [3]). In analogy with the Pauli effect in superconductors [4], the Zeeman energy, $\mu_B^2 \rho(E_F) B^2$, (where $\rho(E_F)$ is the density of states at the Fermi level) competes with the CDW condensation energy, $-\rho(E_F) \Delta(0)^2$. The transition temperature is expected to decrease with increasing field, and above a certain threshold field ($\approx \Delta(0)/\mu_B$) a uniform CDW is no longer energetically favorable. Consequently, a CDW may be suppressed by high magnetic fields. In contrast, for a SDW system, the nesting property is not affected by the Zeeman term because a SDW couples spin-up with spin-down states. The nesting condition is actually improved by high magnetic fields due to the magnetic field induced one-dimensionalization of the Q1D electronic orbits. Thus for an imperfectly nested Fermi surface, the SDW transition temperature can actually increase with increasing magnetic field [5,6]. The role of orbital effects on SDW systems has been well established in the Q1D organic Bechgaard salts [7].

By using a simple BCS relation, we can obtain a rough estimate for the critical field necessary to suppress a uniform CDW: $B_c = 1.765 k_B/\mu_B T_c$, where $k_B$ is the Boltzmann constant, $\mu_B$ is the Bohr magneton, and $T_c$ is the transition temperature to the DW state. However, the relatively high transition temperatures ($\geq 30$ K) of most CDW systems, like for example, the molybdenum bronzes [2] implies the need for very high magnetic fields, of the order of 100 tesla or more, in order to suppress the CDW ground state via the Zeeman energy. This limitation has prevented the observation of this field-induced suppression. In this work, we argue that the $\alpha$-(ET)$_2$MHg(SCN)$_4$ (where M = K, Tl and Rb) organic conductors may be the first compounds whose ground state is driven towards new DW states
under the influence of both Pauli and orbital effects in available fields.

The band structure calculations \[8\] of $\alpha$-(ET)$_2$Mg(SCN)$_4$ indicate the presence of both closed Q2D and open Q1D orbits at the Fermi energy $E_F$. It is generally accepted that these systems undergo a phase transition from a metallic phase to a low temperature DW state \[3\] \[11\] at a transition temperature, $T_{DW}$, between 8 and 12 K. The onset of this second order transition at $T_{DW}$ \[12\], is known to decrease with increasing field as would be expected for a CDW transition \[13\]. Also, below $T_{DW}$ and at intermediate magnetic fields (between 22 and 37 tesla) there are profound changes in the magnetoresistance which are indicative of a first order phase transition in the electronic structure at the so-called “kink transition field”, $B_K$. This critical field clearly indicates that a magnetic field has a profound effect on the ground state of these compounds. Above $B_K$, $T_{DW}$ remains finite ($\sim 2$ K) \[13\] \[15\] up to fields as high as 45 tesla \[16\]. After nearly a decade, the identity of the low temperature ground state remains a contemporary issue, with conflicting evidence supporting both CDW and SDW scenarios \[17\]. There is published experimental data which, at first glance, seems to support a SDW-like ground state: The muon spin relaxation ($\mu$SR) rate \[11\] changes below $T_{DW}$ while the magnetic susceptibility is found to be anisotropic below the same temperature \[10\]. Nevertheless, no line broadening or line splitting is observed either on the nuclear magnetic resonance \[15\] nor on the electron spin resonance \[18\] spectrum below $T_{DW}$. The existence of 2-D closed orbits, clearly seen in de Haas van Alphen measurements \[19\], can generate Landau diamagnetism which could be responsible for the anisotropy in the magnetic susceptibility. Thus the anisotropy alone cannot be taken as a definitive proof for a SDW ground state. On the other hand, no X-ray or neutron diffraction data that could support the existence of either a CDW or SDW superstructure, have thus far been published. Clearly, there is a lack of compelling experimental evidence providing unambiguous support for either of the two DW ground state scenarios.

In this letter we study the angular dependence of the magnetoresistance and magnetization of the $\alpha$-(ET)$_2$Mg(SCN)$_4$ system. Our study reveals new features, in particular a new magnetic-field-induced electronic phase transition, which appears only when the angle
\( \theta \), defined as the angle between the magnetic field and the \( b^* \) axis, satisfies the condition \( \theta = \theta_c \geq 45^\circ \). Furthermore, the kink field, \( B_K \), displays a non-trivial angular dependence for \( \theta \geq \theta_c \). We therefore propose a \( B - \theta \) phase diagram and argue that it appears to be well explained by present theoretical models describing the behavior of a CDW under high magnetic fields with competing Pauli and orbital effects [20, 21].

Single crystals of \( \alpha-(ET)_2\text{MHg(SCN)}_4 \) (M is K, Tl, or Rb) were grown using conventional electrocrystallization techniques [7]. Transport measurements were made using four-terminal methods with currents ranging from 1 \( \mu \text{A} \) up to 10 \( \mu \text{A} \) applied perpendicular to the conducting layers (along the \( b^* \) axis). Meanwhile, the magnetization measurements were performed using a phosphor-bronze cantilever magnetometer. Various configurations of cryostats, magnets, and rotating inserts available at the National High Magnetic Field Laboratory in both Tallahassee and Los Alamos were used in this investigation.

The magnetoresistance, \( R(B) \), for \( \alpha-(ET)_2\text{TlHg(SCN)}_4 \) as a function of tilted magnetic field, \( B \), at \( T \approx 40 \text{ mK} \) is plotted in Fig. 1. Figures 1 (a) and (b) show the up and down field sweeps, respectively. At small angles, the familiar behavior of the magnetoresistance as a function of field strength is observed. This includes a rapid rise in resistance which reaches a maximum around 15 tesla, followed by a drop in resistance which terminates at \( B_K \), near 27 tesla (up-sweep) or 24 tesla (down-sweep). \( B_K \) (indicated in the figure by a dashed line), is hysteretic, and is characteristic of a magnetic field-induced first order change in electronic structure. It is easily identifiable because the amplitude and wave form of the Shubnikov de Haas (SdH) oscillations change abruptly at this point. For large angles, \( B_K \) shifts to higher fields and an additional hysteretic structure (hereafter termed \( B_c \) and indicated in the figure by a dotted line) begins to appear. Notably, \( B_c \) shifts to lower fields with increasing angle. We argue below that both \( B_K \) and \( B_c \) are connected with first-order transitions between sub-phases of the density wave ground state. In retrospect, evidence of \( B_c \) has been observed before, but was mislabeled as \( B_K \) [22].

To further establish the universal character of these sub-phases, we provide similar results for the \( \alpha-(ET)_2\text{KHg(SCN)}_4 \) compound. Figure 2 (a) plots \( R(B) \) as a function of \( B \) (for
increasing field sweeps) at $T \simeq 50$ mK for several values of $\theta$ ($\theta$ is indicated in the figure) for a single crystal of $\alpha$-(ET)$_2$KHg(SCN)$_4$. The values of $B_c$ and $B_K$ are indicated by dotted arrows and a dashed line, respectively. Both fields display a strong angle dependence, which is qualitatively similar to that discussed in Fig. 1. Notice that at $\theta = 86^\circ$, $B_K$ is outside the accessible field range. The behavior of $B_c$ and $B_K$ is reproducible and observed in multiple samples. In Fig. 2 (b) the behavior of $B_c$ is shown on an amplified scale for yet another crystal, at $T = 35$ mK and for values of $\theta$ between $63^\circ$ and $90^\circ$. For the $\alpha$-(ET)$_2$KHg(SCN)$_4$ compound and for $\theta$ close to $60^\circ$, the field position of $B_K$ is ambiguous. This will be the subject of future efforts.

The thermodynamic nature of $B_K$ and $B_c$, as transitions between sub-phases, was verified by magnetization measurements made on a third sample of $\alpha$-(ET)$_2$KHg(SCN)$_4$. Figure 3 shows the magnetization, $M$, as a function of $B$ at $T = 0.5$ K for several values of $\theta$. As previously seen in Figs. 1 and 2(a), $B_K$ (indicated by a dashed line) moves towards higher fields as $\theta$ increases above $\sim 40^\circ$. For fields between 12 and 20 tesla, we observe further structure which is indicated by vertical dotted arrows and agrees with values of $B_c$ observed in Fig. 2. For $\theta = 67^\circ$, both field up (solid line) and field down (dotted line) sweeps are included to show the hysteretic behavior of both $B_K$ and $B_c$. Although no pronounced discontinuities are observed in $M(B)$, the hysteretic behavior points towards a first order phase transitions at both critical fields. Furthermore, the magnetization reveals additional fine structure at $B_c'$ and may indicate the existence of another sub-phase. As in Fig. 2 (a), $B_K$ can not be easily determined for $\theta$ near to $60^\circ$.

In Fig. 4, the angular dependence of both $B_c(\theta)$ and $B_K(\theta)$ are plotted for $\alpha$-(ET)$_2$TIHg(SCN)$_4$ (triangles) and for $\alpha$-(ET)$_2$KHg(SCN)$_4$ (circles). The figure also includes $B_K(\theta)$ obtained for an $\alpha$-(ET)$_2$RbHg(SCN)$_4$ single crystal (squares) at $T = 3.0$ K for fields up to 50 tesla. To enable a comparison between all the three salts, we have normalized $B_c(\theta)$ as well as $B_K(\theta)$ with respect to the compound dependent $B_K(\theta = 0)$. The result is a $B - \theta$ phase diagram containing three distinct regions. The hysteretic phase transition at $B_K(\theta)$, indicated by a solid line, is identified as a first order phase transition from the zero
field ground state (region I) to a distinct high field phase (region II). For angles larger than \( \sim 45^\circ \) a new phase (region III) emerges between regions I and II. The hysteresis in Figs. 1 and 3 associated with \( B_c \), indicates that the transition between regions II and III is also first order. The field dependence of \( B_K \) is very different from that of \( B_c \). \( B_K \) is cusp like near \( \theta = 90^\circ \).

Recently, the magnetic field dependence of a Q1D system with a CDW ground state was studied theoretically \[20,21\] using a mean field approach. In this theory, both CDW and SDW correlations were included in an anisotropic 2D Hamiltonian and studied in the random phase approximation. An important parameter of the theory is \( \eta \equiv q_0/q_p = e b v_F \cos \theta/\mu_B \), defined as the ratio between the orbital and Pauli contributions to the nesting vector \( Q \). The predictions of this model strongly resemble the experimentally determined phase diagram of \( \alpha-(ET)_2\text{MHg(SCN)}_4 \), where \( M = \text{K, Tl, or Rb} \). In particular, the theory predicts (using the author’s notation) that: 1) below a second order transition temperature, \( T_{c_0} \), the ground state is a uniform charge density wave \( CDW_0 \); 2) above a critical field there is a first order transition \[20,21\] at \( B_{cx} \) to a high field state \( CDW_x \) which is a hybrid of charge and spin density wave states; 3) between \( CDW_0 \) and \( CDW_x \) a new phase \( CDW_y \) is stabilized which is dependent on \( \theta \) through \( B_{cy} \approx B_c^0 \sqrt{1 + 0.088 \eta^2} \); and 4) all sub-phase transitions are first order. (\( CDW_y \) is expected not to have SDW character). We find a close match of the above theory to the experimental phase diagram of \( \alpha-(ET)_2\text{MHg(SCN)}_4 \), if we assign \( T_{DW} \) to \( T_{c_0} \) and \( B_K \) to \( B_{cx} \), implying that region I corresponds to the \( CDW_0 \) state and region II to the high field \( CDW_x \) phase. In effect, according to Ref. \[20\], the Pauli effect should suppress the critical temperature, \( T_{DW} \), from the metallic phase towards region I (\( CDW_0 \) state) in proportion to the square of the magnetic field \[3,13,20,21\]. This is evident in the \( T - B \) phase diagram of the \( \alpha-(ET)_2\text{KHg(SCN)}_4 \) compound as shown in the inset of Fig. 4. Here, \( T_{DW} \) (normalized with respect to its zero field value) is plotted as a function of \( B/B_K \) for \( M = \text{K} \) at \( \theta = 0^\circ \) taken from Ref. \[3\]. In the same plot, additional data points are included from the onset of an abrupt change in slope of \( R(B) \) as a function of \( T \) for \( B/B_K \geq 1.1 \[16\]. Solid triangles indicate the position of \( B_K \) in this diagram. As has been previously pointed
out [3,20,21], the theoretical $T - B$ phase diagram is remarkably similar to the diagram shown in the inset of Fig. 4. To further strengthen the correlation between theory and experiment, we note that the above expression for $B_{cy}$ may be fitted to the data for $B_{c}$ from $M = K$ (see the dashed line in Fig. 4) with the parameters $B_{c}^{0} \simeq 10.4$ tesla and a Fermi velocity $v_{F} = 1.8 \times 10^{5}$ m/s. This is close to the value from band structure calculations [8] and implies well (but not perfectly) nested Q1D Fermi sheets for the $\alpha$-(ET)$_{2}$MHg(SCN)$_{4}$ salts (where $M = K$, Tl, or Rb).

In summary, we have closely examined the angular-dependent magnetoresistance and magnetization in the low temperature DW ground state of $\alpha$-(ET)$_{2}$MHg(SCN)$_{4}$ (where $M = K$, Tl, or Rb). We find that the material exhibits at least three low temperature electronic sub-phases, which are separated by first order phase boundaries. We argue that for low fields and tilted angles, the ground state is well represented by a CDW description, (albeit that no direct evidence for a CDW as opposed to a SDW presently exists). For $\theta \geq \theta_{c} \simeq 45^\circ$ we identify a new structure, $B_{c}$, seen in the angular dependence of both magnetoresistance and magnetization, as a field-induced phase transition governed by the competition between orbital and Pauli effects. The appearance of this new phase at $\theta_{c}$ displaces $B_{K}$ (given by the Pauli limit) towards higher values. The $B - T$ and $B - \theta$ phase diagrams are well described by the available models for charge-density waves in high magnetic fields. This study both supports theoretical predictions of the complex behavior of CDW in a magnetic field and clarifies the nature of the ground state in the $\alpha$-(ET)$_{2}$MHg(SCN)$_{4}$ compounds.

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FIGURES

FIG. 1. (a) Magnetoresistance, $R(B)$, of a $\alpha$-(ET)$_2$TlHg(SCN)$_4$ single crystal as a function of magnetic field $B$, at $T = 40$ mK, for increasing field sweeps at several angles $\theta$ between $B$ and $b^*$ ($\theta$ is indicated in the figure). (b) Same as in (a) but for decreasing field sweeps. Dashed line indicates $B_K$ while the dotted line indicates $B_c$. In both figures curves are vertically displaced for clarity.

FIG. 2. (a) $R(B)$ for a $\alpha$-(ET)$_2$KHg(SCN)$_4$ single crystal as a function of $B$ at $T = 50$ mK for increasing field sweeps and several values of $\theta$ (indicated in the figure). $B_K$ is indicated by a dashed line while dotted arrows indicate $B_c$. (b) $R(B)$ as a function of $B$, on an amplified scale, for a second $\alpha$-(ET)$_2$KHg(SCN)$_4$ single crystal at $T = 35$ mK and for different values of $\theta$ as indicated. The line indicates $B_c$. In both figures, curves are vertically displaced for clarity while in (a) all curves for $\theta \geq 52^\circ$ are multiplied by a factor of 5.

FIG. 3. Magnetization, $M$, of a $\alpha$-(ET)$_2$KHg(SCN)$_4$ single crystal as a function of $B$ at $T \simeq 500$ mK and for four values of $\theta$. All curves are displaced vertically while the curves at $\theta = 60^\circ$ and $67^\circ$ are multiplied by a factor of 5. $B_K$ is indicated by a dashed line while $B_c$ is indicated by both dotted line and dotted vertical arrows. Solid arrows indicate the place of $B_K$ for $\theta = 60^\circ$. All solid lines are for increasing field sweeps. The dotted line at $\theta = 67^\circ$ indicates a decreasing field sweep. $B'_c$, also indicated by a dashed line, suggests an additional phase transition.
FIG. 4. (a) $B_c(\theta)$ as well as $B_K(\theta)$, both normalized respect $B_K(\theta = 0)$, for each sample shown in Figs. 1 and 2. Solid and opened triangles are $B_c(\theta)$ and $B_K(\theta)$, respectively, obtained from Fig. 1. Similarly, solid and opened circles were obtained from Fig. 2 and other $\alpha$-(ET)$_2$KHg(SCN)$_4$ samples, while squares correspond to $B_K$ measured in a $\alpha$-(ET)$_2$RbHg(SCN)$_4$ sample at $T = 3.0$ K. The resulting $B - \theta$ phase diagram is composed of three regions. Solid lines are guides to the eyes and suggest first order phase transitions. The dashed line (also indicates first order) is a fit to the expression for $B_{cy}$, see the text. Inset: $T_{DW}$ from Ref. [9] normalized with respect to $T_{DW}$ at zero field, as a function of $B/B_K$ for $M = K$ (circles). We added new points for $B/B_K \geq 1.1$ as well as the position of $B_K$ in this phase diagram (solid triangles).
\( \alpha-(ET)_{2}TeHg(SCN)_{4} \quad R(A. U.) \)

- \( B_{C} \) and \( B_{K} \) curves are shown.
- \( T \equiv 40 \text{ mK} \)
- \( \theta = 7^\circ, 18^\circ, 32^\circ, 55^\circ, 57^\circ, 59^\circ, 60^\circ, 63^\circ, 70^\circ, 75^\circ \)
- Up Sweep and Down Sweep are indicated.

\( R(A. U.) \) vs. \( B(\text{tesla}) \)
\( \theta = 63^\circ \)

\( \theta = 68^\circ \)

\( \theta = 73^\circ \)

\( \theta = 78^\circ \)

\( \theta = 83^\circ \)

\( \theta = 88^\circ \)

\( \theta = 90^\circ \)

\( \alpha \)-\((\text{ET})_2\text{KHg(SCN)}_4\)

\( T \approx 50 \text{ mK} \)

\( \alpha \)-\((\text{ET})_2\text{KHg(SCN)}_4\)

\( T \approx 35 \text{ mK} \)
\[ M(A.U.) \]

\[ \theta = 67^\circ \]

\[ \theta = 60^\circ \]

\[ \theta = 40^\circ \]

\[ \theta = 32^\circ \]

\[ \alpha-(ET)_2 KHg(SCN)_4 \]

\[ T \approx 50 \text{ mK} \]

\[ B (\text{tesla}) \]
