Abstract. In the WIMP scenario, there is a one-to-one relation between the dark matter (DM) relic density and spin-independent direct detection rate if both the annihilation of DM and its elastic scattering on nuclei go dominantly through Higgs exchange. In particular, for DM masses much smaller than the Higgs boson mass, the ratio of the relevant cross sections depends only on the DM mass. Assuming DM mass and direct detection rate within the ranges allowed by the recent DAMA collaboration results—taking account of the channelling effect on energy threshold and the null results of the other direct detection experiments—gives a definite range for the relic density. For scalar DM models, like the Higgs portal models or the inert doublet model, the relic density range turns out to be in agreement with WMAP. This scenario implies that the Higgs boson has a large branching ratio to pairs of DM particles, a prediction which might challenge its search at the LHC.

Keywords: dark matter detectors, dark matter

ArXiv ePrint: 0808.0255
The DAMA collaboration has recently provided evidence for an annual modulation of the rate of nuclear recoils in their detector [1], confirming at a firmer level their previous results [2]. Taking into account the null results of the other direct dark matter (DM) detection experiments [3] and the recently discovered channeling effect on the threshold energy in DAMA it points towards a nuclear recoil due to dark matter–nucleon elastic scatterings, with a spin-independent (SI) cross section in the range (see [4])

\[ 3 \times 10^{-41} \text{ cm}^2 \lesssim \sigma_{p}^{\text{SI}} \lesssim 5 \times 10^{-39} \text{ cm}^2 \] (1)

and dark matter mass in the range

\[ 3 \text{ GeV} \lesssim m_{\text{DM}} \lesssim 8 \text{ GeV}. \] (2)

These results have already been the object of various studies in specific models [5]–[8]. In this short paper, working in the WIMP framework which assumes a DM relic density determined by the thermal freeze-out of DM annihilation, we emphasize the importance of Higgs exchange diagrams for DM mass in the range of (2).

If the DM candidate is light, there is a limited number of possible (two-body) annihilation channels to SM particles, i.e. to \( u, d, s, c, b \) quark pairs, to lepton pairs and to photon pairs. Depending on the model this can be done at tree or loop level in various ways. Annihilations through the SM \( Z \) boson may be excluded right away for it would imply that dark matter contributes to the \( Z \) invisible width [9]. The next simplest possibility at tree level is annihilation of dark matter into fermions through the Brout–Englert–Higgs (Higgs for short) in the s-channel, as in the diagram of figure 1(a). In this case, only \( bb, c\bar{c} \) and \( \tau\bar{\tau} \) annihilations are relevant, since all other SM fermions have small Yukawa couplings. From the very same coupling between DM and the Higgs, SI elastic scattering is induced through a Higgs in the t-channel, figure 1(b). For the inert doublet model (IDM), a two-Higgs model extension of the standard model with a scalar dark matter candidate [10]–[16], and a fortiori for a singlet scalar DM candidate [17]–[24], the channels of figure 1 are the only possible non-negligible ones in the range of (2). In more sophisticated models, such as with the neutralino DM candidate of the MSSM, these channels coexist a priori with many other channels, in particular with other intermediate Higgs scalar particle or squark channels [7, 25].

Both processes in figure 1 are tightly related. The Higgs boson mass dependence is the same, \( m_{h}^{-2} \), because in both cases the momentum of the Higgs is negligible compared to \( m_{h} \). Furthermore the dependence in the unknown DM–DM–\( h \) coupling is the same. This means that, up to uncertainties in the Yukawa couplings of the SM fermions and in the Higgs to nucleon coupling, the only parameter left is the mass of the dark matter. This dependence is, however, limited if we take the DM mass within the range (2). In other words, if Higgs-mediated processes are dominant, the ratio of the cross sections corresponding to the processes of figure 1 is essentially fixed in any model and there is a one-to-one relation between annihilation and direct detection. This has been pointed out for the case of scalar singlet DM in [19]. The ratio may, however, be different in different models. To see this and to enquire whether any model may be in agreement with observations, we consider two simple scenarios, respectively, with a scalar and a fermionic dark matter candidate.

For a scalar dark matter candidate, the simplest possibility is to introduce one real scalar singlet \( S \), odd under a \( Z_{2} \) symmetry [17]–[24], like in the so-called Higgs portal...
framework \cite{20}–\cite{23}. In full generality the four following renormalizable terms may be added to the SM Lagrangian:

\[ \mathcal{L} \supset \frac{1}{2} \partial^\mu S \partial_\mu S - \frac{1}{2} \mu_S^2 S^2 - \frac{\lambda_S}{4} S^4 - \lambda_L H^\dagger H S^2 \]

with \( H = (h^+(h + iG_0)/\sqrt{2})^T \) the Higgs doublet. The mass of \( S \) is thus given by

\[ m_S^2 = \mu_S^2 + \lambda_L v^2 \]

where \( v = 246 \text{ GeV} \). In this model the sole coupling which allows \( S \) to annihilate into SM particles and to interact with nuclei is \( \lambda_L \). For the annihilation cross section, the elastic scattering cross section (normalized to one nucleon) and the ratio, we obtain

\[ \sigma(SS \rightarrow \bar{f}f)v_{\text{rel}} = n_c \frac{\lambda_L^2}{\pi} \frac{m_f^2}{m_h^4 m_S^2} (m_S^2 - m_f^2)^{3/2} \]

\[ \sigma(SN \rightarrow SN) = \frac{\lambda_L^2}{\pi} \frac{\mu_r^2}{m_h^4 m_S^2} f^2 m_N^2 \]

\[ R \equiv \sum_f \frac{\sigma(SS \rightarrow \bar{f}f)v_{\text{rel}}}{\sigma(SN \rightarrow SN)} = \sum_f \frac{n_c m_f^2}{f^2 m_N^2 \mu_r^2} \frac{(m_S^2 - m_f^2)^{3/2}}{m_S} \]

where \( n_c = 3(1) \) for quarks (leptons), \( v_{\text{rel}} = (s - 4m_N^2)^{1/2}/m_S \) is the centre-of-mass relative velocity between both \( S \) and \( \mu_r = m_S m_N/(m_S + m_N) \) is the nucleon–DM reduced mass. The factor \( f \) parametrizes the Higgs to nucleon coupling from the trace anomaly, \( f m_N \equiv \langle N | \sum_q m_q \bar{q}q | N \rangle = g_{hNNV} \). From the results quoted in \cite{26}, we take \( f = 0.30 \) as the central value and vary it within the rather wide range 0.14 < \( f < 0.66 \). As for the Yukawa couplings, \( Y_i = \sqrt{2} m_i/v \), we consider the pole masses \( m_b = 4.23 \text{ GeV} \), \( m_c = 1.2 \text{ GeV} \) and \( m_\tau = 1.77 \text{ GeV} \) (we neglect the effects of the running of the Yukawa couplings which are expected to be quite moderate).

Within the WIMP scenario, one needs \( \sigma(SS \rightarrow \text{all} \bar{f}f)v_{\text{rel}} \sim 1 \text{ pb} \) to have the right dark matter abundance. Therefore using equation (1), the ratio required by data is \( R \sim 10^{3–4} \). This has to be compared with the value of \( R \) obtained from equation (7). Figure 2 gives both ratios as a function of \( m_S \), requiring that the relic density with respect to the critical density obtained is within the WMAP density range \( 0.094 < \Omega_{\text{DM}} h^2 < 0.129 \) \cite{27,28} and that \( \sigma_p^{\text{SI}} \) and \( m_S \) are in the DAMA region allowed by other direct detection experiments, see figure 1 of \cite{4} (taking into account the channelling effect). As \( R \) scales approximately
as $m_S^2$ for $m_S \gtrsim m_f$, it is remarkable that both values of $R$ coincide around the DAMA DM mass region. The relic abundances are computed using MicroMegas [29].

This can also be seen in figure 3 which gives the regions of $m_S$ and $\lambda_L$ (for $m_h = 120$ GeV) consistent with WMAP and the same direct detection constraints. Both regions overlap nicely. The corresponding values of the SI elastic cross section can be read off from figure 4. For the central value $f = 0.30$ the overlap region covers the $m_S \approx 6–8$ GeV range while for $0.14 < f < 0.66$ regions overlap for $m_S$ between 3.5 and 8.5 GeV. For $f$ smaller than 0.20 there is no overlap region. For a fixed value of $m_S$, a smaller $f$ gives a smaller detection rate. This might be compensated by a larger Higgs–DM coupling $\lambda_L$, but then at the expense of a smaller relic abundance.

In figures 3–4 we used $m_h = 120$ GeV but agreement may be obtained for other Higgs boson masses provided the ratio $\lambda_L/m_h^2$ is kept fixed. Typically the required

3 Since typically $x_f = m_{DM}/T_{fo} \approx 20$, the freeze-out temperature is $150$ MeV $\lesssim T_{fo} \lesssim 400$ MeV for DM mass in the range of (2). The QCD phase transition is expected to take place around $T_c \approx 200$ MeV (see, for instance, [46]) and, consequently, for calculation of the DM abundance for DM masses as low as, say, 4 GeV we should take into account the change in the expansion rate of the universe which results from the variation in the number of degrees of freedom that occurs when quarks and gluons become confined in light mesons. This effect might increase the abundance by a factor of $O(2)$ (see, for instance, [25]). Such an increase could be compensated by an increase of $\lambda_L$ by a factor of $\sim 1.4$ and this, in turn, would require a decrease of the parameter $f$ by the same factor. As figure 2 shows, this may be easily accommodated given the uncertainty on $f$. However, since MicroMegas does not take into account the QCD phase transition for the calculation of abundances, strictly speaking we are assuming here that $T_c$ is below $\sim 150$ MeV.
Figure 3. For \( m_h = 120 \) GeV, values of \( m_S \) and \( \lambda_L \) which lead to the WMAP result, \( 0.094 < \Omega_{DM} h^2 < 0.129 \) (solid black lines), and which match the direct detection constraints (i.e. figure 1 of [4]), for the central value \( f = 0.30 \) as well as the values \( f = 0.14 \) and 0.66.

Figure 4. For \( m_h = 120 \) GeV, \( \log \sigma_p^{SI} \) (in \( pb \equiv 10^{-36} \text{ cm}^2 \)) as a function of \( m_S \) and \( \lambda_L \) versus \( \Omega_{DM} h^2 \) (black lines). For other values of \( m_h \), \( \sigma_p^{SI} \) scales as \( 1/m_h^4 \).
value is $\lambda_L/m_h^2 \simeq 10^{-5}$ GeV$^{-2}$. To keep the result perturbative, $\lambda_L \lesssim 2\pi$, we need that $m_h \lesssim 800$ GeV.

Since all the parameters are fixed, or strongly constrained, we may also make some definitive predictions regarding possible indirect detection of DM, in particular through gamma rays from annihilation of DM at the galactic centre. The mass of (2) puts the DM candidate in the energy range of EGRET data and of the forthcoming one of GLAST. Figure 5 shows the predicted flux of gamma rays from the galactic centre for a sample of scalar DM with parameters which are consistent with DAMA and WMAP. EGRET data [47] are also shown. It is interesting that the predicted flux is of the order of magnitude of the observed flux at the lowest energies that have been probed by EGRET. Actually, the predicted flux may even be larger than the observed one for some set of parameters. We have, however, refrained from putting constraints on the model parameters, given the large uncertainties on the abundance of dark matter at the centre of the Galaxy. Here we assume a mundane NFW profile [45], as in [14]. Similar predictions regarding the gamma flux, for a different model compatible with DAMA, have been done in [6].

A number of remarks are now in order. First of all, we should keep in mind that the parameter fit to detection data depends on precise assumptions on the abundance and velocity of the distribution of dark matter in our neighbourhood (see, e.g., [4]). Also, the cosmic relic abundance is obtained assuming a mundane, radiation-dominated expansion
of the universe. These are conservative but well-motivated options. However, relaxing either one or the other would give other predictions and would likely jeopardize the model.

On the experimental side, it is to be seen if the intriguing results of DAMA will survive the test of time and will be eventually confirmed by other SI experiments, like CRESST (see, e.g., the discussion in [4]). Further confirmation of the channelling effect in the regime studied by DAMA would also be useful. Without channelling, there is no region allowed by all experiments\(^5\).\(^6\). Regarding SD detectors, as there are no (non-negligible) spin-dependent (SD) interactions in the Higgs exchange scenario, no signal should be expected.

On the theoretical side, we definitely wish we had a better determination of the form factor \(f\) in the Higgs–nucleon effective coupling (see the discussion above).

Also on the theoretical side, inspection of figures 3 and 4 reveals that substantial tuning is necessary to obtain agreement with DAMA data, as one needs a quite large SI cross section. As already emphasized in [19] (see also [22] for a singlet and [14] for the IDM\(^7\)) the cross section of a scalar DM candidate is typically small, \(10^{-8} \text{pb}\), below the range of all the existing direct detection experiments. For it to be observable in DAMA requires a large, albeit still perturbative, coupling \(|\lambda_L| \sim 0.1–1\) between the DM and the Higgs\(^8\). Simultaneously, to keep the DM mass within the range (2) requires a cancellation between both terms in equation (4) at the per cent level, roughly. This, in our opinion, is not unbearable. Nor is it surprising, given the very minimal number of parameters of the model. Taken at face value, it implies a close connection between DM and the Higgs sector, thus with the mechanism at the origin of electroweak symmetry breaking.

This brings us to one immediate, striking consequence of such DM models. A large coupling to the Higgs leads to a large Higgs boson decay rate to a scalar DM pair [19]. For example, for \(m_S = 7 \text{ GeV}, \lambda_L = -0.2\) and for a Higgs of mass 120 GeV we get the branching ratio \(\text{BR}(h \to SS) = 99.5\%\); while for \(m_h = 200 \text{ GeV}\) and \(\lambda_L = -0.55\) we get \(\text{BR}(h \to SS) \simeq 70\%\). This reduces the visible branching ratio accordingly, rendering the Higgs boson basically invisible at the LHC for \(m_h = 120 \text{ GeV}\), except possibly for many years of high luminosity data taking. Such a dominance of the invisible DM channel is a clear prediction of the framework, although a challenging one for experimentalists for low values of \(m_h\) (see [49] for strategies to search for an invisible Higgs at the LHC).

We would now like to emphasize that the results discussed here apply for any scalar dark matter model for which annihilation and SI scattering cross sections would be dominated by the diagrams of figure 1. A simple such instance is the IDM, in which case the DM candidate is the lightest component of a scalar doublet, odd under a \(Z_2\) symmetry. All the results above hold, provided one identifies the appropriate parameters. Using the notations of [14] for instance, we get the same abundances and SI cross section in

\(^5\) For an explanation of the channelling effect, see [30]. For an independent analysis see [4].

\(^6\) Note added in proof: For further discussions of the allowed domain of dark matter mass versus cross section, see [50]–[52].

\(^7\) The mass range considered here is quite different from the larger ones considered in [12] and [14]. The main reason is that those works put more emphasis on the gauge interactions of the DM than on its coupling to the Higgs. That there are low mass solutions consistent with WMAP is, however, implicit in, for instance, figure 5 of [14].

\(^8\) For negative couplings \(\lambda_L\), stability of the potential (3) imposes that \(\lambda_S, \lambda > 0\) and \(\lambda\lambda_S > \lambda_S^2\), where \(\lambda\) is the Higgs quartic coupling [19], conditions which are easy to satisfy for the parameter range we consider. Similar constraints hold for the inert doublet model [12].
the DAMA range, figures 2–4, provided one replaces $m_S \to m_{H_0}$, $\mu_S \to \mu_2$ and $\lambda_L \to \lambda_L$. One just has to make sure that the extra components of the doublets, denoted $A_0$ and $H^\pm$, are heavy enough. In practice, this means that we need $m_{H_0} + m_{A_0} > m_Z$ so as not to contribute to the $Z$ invisible decay width. This simultaneously kills the possibility of sizable co-annihilation of $H_0$ with $A_0$ in the early universe or elastic scattering in detectors through a $Z$ channel. As we consider $m_{H_0}$ in the range (2), $m_{A_0} \gtrsim m_Z$. Furthermore we need to preclude large radiative corrections to the $Z$ and $W$ bosons, and in particular to the $\rho$ parameter (see the discussion in [12]). Within the IDM, this may be obtained naturally as there is a global custodial symmetry if $m_{A_0} \approx m_{H^\pm}$, in which case the contribution of the extra scalar doublet to $\rho$ vanishes (see [31] and the discussion in [16]). Of course, the extra heavy degrees of freedom $A_0$ and $H^\pm$ might show up eventually in high energy collisions [32], something in which the IDM differs from the simpler singlet scalar model.

For the sake of comparison with the scalar DM case discussed above, we now briefly consider the case of singlet Dirac and Majorana fermionic DM candidates. In the former case, we consider the Lagrangian

$$\mathcal{L} \supset \bar{\psi}(i\not\!\!D - m_0)\psi - \frac{Y_\psi}{\sqrt{2}} \bar{\psi}\psi h.$$ (8)

The Higgs–DM coupling may arise from the non-renormalizable operator $\bar{\psi}\psi H^\dagger H/\Lambda$, so that $Y_\psi \propto v/\Lambda$ and the mass of $\psi$ is $m_\psi = m_0 + Y_\psi v/\sqrt{2}$ (for similar models see, e.g., [33]).

For the annihilation and direct detection cross sections we get

$$\sigma(\bar{\psi}\psi \to \bar{f}f) v_{\text{rel}} = n_c \frac{Y_\psi^2 m_\psi^2 v_{\text{rel}}^2 (m_\psi^2 - m_f^2)^{3/2}}{16\pi v^2 m_h^4} \frac{m_\psi}{m_f^2}$$

(9)

$$\sigma(\psi N \to \psi N) = \frac{Y_\psi^2}{2\pi v^2 m_h^4} f^2 m_N^2$$

$$R \equiv \frac{\sum_f \sigma(\bar{\psi}\psi \to \bar{f}f) v_{\text{rel}}}{\sigma(\psi N \to \psi N)} = \frac{\sum_f n_c m_f^2 v_{\text{rel}}^2 (m_\psi^2 - m_f^2)^{3/2}}{f^2 m_N^2 m_\psi^2} \frac{8}{m_\psi}.$$ (9)

Both the cross sections and the ratio have different parametric dependence compared to the DM scalar case, equations (5)–(7). Keeping all things constant, the SI cross section is smaller by a factor of $m_{\text{DM}}^2/v^2$. Also, assuming perturbative values of the coupling $Y_\psi$, the abundance of dark matter is much larger than the critical density (for parameters consistent with (1) and (2)) because of the extra small factor $m_{\text{DM}}^2/v^2 v_{\text{rel}}^2$ in the annihilation cross section compared to the scalar DM case. The origin of this suppression is well known (see, e.g., [34]). It results from the fact that a fermion–antifermion pair in a s-wave is a CP odd state and cannot annihilate into a scalar, like the Higgs. Hence the annihilation is both p-wave-, $\propto v_{\text{rel}}^2$, and helicity-suppressed, $\propto m_{\text{DM}}^2$. Similar conclusions hold for the Majorana case. In these fermion cases other channels than Higgs exchange must necessarily be present in order to match the WMAP and DAMA observations, as for instance is the case in the MSSM (see the recent discussion of [7]).

Before concluding, let us consider that the scenario discussed here does not shed light on the baryon–dark matter coincidence problem, $\Omega_{\text{DM}} \sim \Omega_B$. If the dark matter mass is in the range (2), there is roughly one dark matter particle per baryon in the universe, $n_{\text{DM}} \approx n_B$, a result which suggests a deeper connection between ordinary and dark matter. A few models have been proposed to naturally explain this coincidence (see,
e.g., [35]–[44]). They tend to be sophisticated in comparison with the model discussed here and, to our knowledge, they also tend to have cross sections for scattering of dark matter with nuclei that are much below the sensitivity of existing and forthcoming detectors.

In conclusion, we have discussed the possible relevance of Higgs exchange for WIMP in DAMA mass and SI cross-section ranges, leading to a one-to-one relation between the relic density and SI direct detection rate. We have emphasized that, for scalar dark matter, this relation is in agreement with data, provided Higgs exchange is the dominant channel in both annihilation and SI cross sections. We have illustrated this through a singlet real scalar and the inert doublet model, where it is naturally realized. These models are very simple, give definitive predictions—including for the LHC—and might be falsifiable within a foreseeable future.

Acknowledgments

We thank Jean-Marie Frère for stimulating discussions. One of us (SA) thanks Michael Krämer. This work is supported by the FNRS, the IISN and the Belgian Federal Science Policy (IAP VI/11). Preprint ULB-TH/08-27.

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