K-Means Clustering-based Kernel Canonical Correlation Analysis for Multimodal Emotion Recognition *

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Abstract: Emotion is an important part of human interaction. Emotional recognition can greatly promote human-centered interaction techniques. On this basis, multimodal feature fusion can effectively improve the emotion recognition rate. However, in the multimodal feature fusion at the feature level, most of the methods do not consider the intrinsic relationship between different modes. Only the fusion of analysis and transformation of the feature matrices of different modes does not make better use of modal differences to improve the recognition rate. This problem led us to propose feature fusion method based on K-Means clustering and kernel canonical correlation analysis (KCCA). Clustering makes the classification of features not classified by mode, but by the degree of influence on emotional labels, thus positively affecting the results of KCCA. The experimental results obtained on the Savee database show that the proposed K-Means based KCCA improves overall classification performance and produces higher recognition rate than that of the state of art methods, such as the Informed Segmentation and Labeling Approach.

Keywords: Emotion Recognition, K-Means Clustering, Kernel Canonical Correlation Analysis, Feature Fusion

1. INTRODUCTION

Human-computer interaction is a research hotspot in the field of Artificial Intelligence [Chen et al. (2018)]. It uses signals such as video and audio to affect the physiological, posture, expression and speech caused by human emotions [Chen et al. (2019)]. However, due to the nature of emotion, there are many limitations, such as missing and poor quality feature extraction, so that we cannot observe the ideal characteristics. In contrast, multimodal feature fusion can complement existing technique, thereby improving the accuracy of information estimation. Feature-level fusion methods have been applied to the feature extraction and led to better results. It is to combine two sets of different features of the same sample and combine them into a newly generated feature space by PCA [Moore (1981)].

In the existing feature fusion methods, a method called serial fusion [Liu and Wechsler (2001)]. Canonical Correlation Analysis (CCA) [Hotelling (1935)] is a fusion method whose purpose is to find a pair of projection directions so that there is a maximum correlation between the two sets of features. When using this method to cope with nonlinear problems, the problem of under-learning will inevitably occur. To make up for this deficiency, the method of kernels has been applied [Melzer et al. (2003)]. Then proposed was Kernel Canonical Correlation Analysis, abbreviated as KCCA, which uses kernel techniques to linearly extract nonlinear features. In general, we call it a double canonical correlation analysis.

In recent years, many scholars have proposed the theory of Multi-set Canonical Correlation Analysis (MCCA) [Nielsen (2002)]. It is suitable for multi-feature fusion in a mode and has been used to combine finger vein, fingerprint, finger shape and finger knuckle print features of a single human finger for finger biometrics [Peng et al. (2015)]. A comparison of decision-level and feature-level fusions was mentioned [Planet and Sanz (2012)]. Decision-
KCCA
scattered pointsscattered pointsscattered points
p+qo+p+qm+n
Framing Grayscale
Mean
Std
Time
Frequency
Input Multimodal Feature Extraction
Video
Fusion
Label
Emotion
Video
KCCA
scattered pointsscattered pointsscattered points
p+qo+p+qm+n
Framing... K-way clustering based on the distance between the samples. The K-means clustering method consists of the following steps: 1. Initialization of centroids 2. Calculating the distance from each sample to all centroids 3. Assigning each sample to the nearest centroid 4. Updating the centroids of each cluster 5. Repeating steps 2-4 until convergence. The K clusters are then determined based on the selected centroids. In the field of sound processing, Mel-Frequency Cepstrum is a linear transformation based on the nonlinear logarithmic energy spectrum. Mel-Frequency Cepstral Coefficients (MFCCs) constitute the frequency spectrum of Mel frequency. The difference between cepstrum and Mel frequency cepstrum is that the frequency division of the Mel frequency cepstrum is equally spaced on the Mel scale. It is more similar to the human auditory system than the linearly spaced bands used in normal cepstrum. The nonlinear representation can better represent acoustic signals in several areas.

2.2 Feature Extraction of Speech

Compared with the image features of facial expressions, the extraction of emotional features of speech information is relatively complicated, but main ideas and methods in speech feature extraction have gradually matured, and there is a good accuracy obtained in the field of emotion recognition. In this paper, the temporal domain features (feature 1-3), frequency domain features (feature 4-8), Mel cepstrum coefficients (features 9-21) and related temperament features (features 22-34) are used in speech emotion feature extraction. These 34-dimensional feature vectors were used in the extraction process.

2.3 Feature Extraction of Expression

In the field of sound processing, Mel-Frequency Cepstrum is a linear transformation based on the nonlinear logarithmic energy spectrum. Mel-Frequency Cepstral Coefficients (MFCCs) constitute the frequency spectrum of Mel frequency. The difference between cepstrum and Mel frequency cepstrum is that the frequency division of the Mel frequency cepstrum is equally spaced on the Mel scale. It is more similar to the human auditory system than the linearly spaced bands used in normal cepstrum. The nonlinear representation can better represent acoustic signals in several areas.

2.4 K-Means Clustering of Features

Before proceeding with the KCCA fusion, features of facial expressions and speech are based on a clustering method, namely K-means. K-means is a widely used unsupervised learning algorithm. The goal we need to achieve is just to reveal a structure in data. For a given sample set, it is divided into K clusters based on the distance between the samples. The K-means clustering method consists of the following steps:

\[ x = \sum_{i=1}^{K} y_i w_{i,x} \]
Step 1: Divide the data set \(x_1, x_2, ..., x_m\) into \(k\) clusters.
Step 2: Randomly select \(k\) cluster centroids as \(\mu_1, \mu_2, ..., \mu_k\).
Step 3: Repeat the process until its convergence:
   (1) For each \(x_i\), calculate the cluster it should belong to
   \[c_i = \arg \min_j \|x_i - \mu_j\|^2\]  
   (2) For each cluster \(j\), recalculate the centroid of the class
   \[\mu_j = \frac{\sum_{i=1}^{m} 1\{c_i = j\} x_i}{\sum_{i=1}^{m} 1\{c_i = j\}}\]  
   where, \(K\) is the number of clusters given in advance. \(c_i\)
   represents the class closest to the \(x_i\) in the \(k\) classes, and
   the value of \(c_i\) is one of \(1\) to \(k\). Center of gravity \(\mu_j\) is
   the sample center point belonging to the same category.

2.5 Canonical Correlation Analysis

Assuming there are two sets of one-dimensional data \(X\) and \(Y\), the correlation coefficient \(\rho\) is defined as
\[
\rho(X, Y) = \frac{\text{cov}(X, Y)}{\sqrt{\text{D}(X)} \sqrt{\text{D}(Y)}}
\]  
where \(\text{cov}(X, Y)\) is the covariance of \(X\) and \(Y\), and
\(\text{D}(X), \text{D}(Y)\) are the variances of \(X\) and \(Y\), respectively.
Although the correlation coefficient can help us analyse the
 correlation between one-dimensional data, it cannot be used directly for high-dimensional data. CCA provides a workaround:
\[X' = a^T X, Y' = b^T Y\]  
The goal of CCA is to maximize \(\rho(X', Y')\) and determine the corresponding projection vectors \(a, b\), namely
\[
\arg \max_{a,b} \frac{\text{cov}(X', Y')}{\sqrt{\text{D}(X')} \sqrt{\text{D}(Y')}}
\]  
We can use the optimization method similar to SVM, fix the
denominator, optimize the numerator, and the specific conversion is
\[
\arg \max_{a,b} a^T S_{XY} b
\]  
\[\text{s.t. } a^T S_X a = 1, b^T S_Y b = 1\]  
As long as the maximal value of the optimization target is obtained, it is the correlation measure of the multidimensional
\(X\) and \(Y\) mentioned above, and the corresponding \(a\) and \(b\) are projection vectors when realizing dimensionality reduction.
There are two methods of this optimization. The first one is the singular value decomposition SVD, and the second is the traditional Lagrangian feature de-
composition. The results producing these methods are the same.

2.6 Kernel Function

The main idea of the kernel method is feature mapping,
which maps linear wording data in low-dimensional space
to high-dimensional space called linear separable data in
high-dimensional space. In this process, it is not necessary
to know the specific form of the mapping function. It is
necessary to realize the relevant conditions to meet the
mapping requirements of the kernel function, and then
optimize high-dimensional space so that the nonlinear data
are linearly separable. Some kernel functions are shown as follows,

(1) Linear \(K(x_1, x_2) = \langle x_1, x_2 \rangle\) As one of the simplest
and more common kernel functions, it is used where
the sample dimensionality are not high and can be
linearly separated in low dimensional spaces.
(2) Polynomial \(K(x_1, x_2) = \langle x_1, x_2 \rangle^p\) The polynomial
kernel function can better describe the data,
but it is also prone to over-fitting.
(3) Radial Basis Function \(K(x_1, x_2) = e^{-\frac{\|x_1 - x_2\|^2}{2\sigma^2}}\) \(\sigma\)
is the width of the RBF kernel. If \(K(x_1, x_2)\) is small,
the weight of the high-order feature attenuates slowly.
(4) Sigmoid \(K(x_1, x_2) = \tanh(\alpha x_1 y + c)\)
(5) Spline \(K(x_1, x_2) = 1 + x^t y + x^t y \min(x, y) - \frac{x^t y}{2} \min(x, y)^2 + \frac{1}{2} \min(x, y)^3\)

However, ordinary linear CCA can only explore the linear relationship. In reality, the relationship between variables
is often nonlinear. KCCA brings the idea of kernel function
into CCA. The following two sets of data, \(X\) and \(Y\) are
projected to the high-dimensional space via the kernel function,
and then the process is similar to CCA, and is
projected again.
\[
\psi(X) = \alpha^T \phi(X) \quad \psi(Y) = \beta^T \phi(Y)
\]
\(\alpha_{\phi(X)}\) and \(\beta_{\phi(Y)}\) are solved, and the correlation between
\(\psi(X)\) and \(\psi(Y)\) is maximized. According to the definition
of the kernel function, the calculations of the kernel are as
follows
\[
K_X = \langle \phi(X), \phi(X) \rangle = \phi^T(X) \phi(X)
K_Y = \langle \phi(Y), \phi(Y) \rangle = \phi^T(Y) \phi(Y)
\]
Let \(\alpha_{\phi(X)} = \phi(X) a, \beta_{\phi(Y)} = \phi(Y) b\). Then
\[
\text{s.t. } a^T \phi(X) \phi(X) a = 1, b^T \phi(Y) \phi(Y) b = 1
\]
We obtain
\[
\alpha^T \phi^T(X) \phi(X) \phi(X) a = 1
\]
\[
\beta^T \phi^T(Y) \phi(Y) \phi(Y) b = 1
\]
\[
\alpha^T K_X \alpha = 1, b^T K_Y b = 1
\]
In this case, it converts into an optimization problem. By
using Lagrange multiplier, the optimal value is solved for
the above problem, that is, the coefficients \(a\) and \(b\) are
obtained, and the projection matrix can also be obtained.

2.7 Support Vector Machine

The purpose of the support vector machine is to find the
best hyperplane through given positive and negative data.
The concept of SVM is based on the two-category problem
of linear conditions. \(H\) is the classification hyperplane
of these two types of data, \(H_1, H_2\) are the hyperplanes
closest to \(H\), which are parallel to the classification plane.

The data point is represented by \(x, y\) is the category, \(\omega\)
is the hyperplane normal vector, and \(b\) is the deviation. This
hyper-plane for \(i = 1, 2, ..., n\) is described as
\[
x = x_0 + \frac{\omega}{\|\omega\|}
\]
The distance from the data point to the hyperplane is called the geometric interval, denoted by
\[
\omega^T x_i + b > 0, y_i = 1 \\
\omega^T x_i + b < 0, y_i = -1 \\
\omega^T x_i + b = 0, y_i \neq \pm 1
\]  
(13)

Where \( x_0 \) is positioned on the hyperplane, satisfying \( \omega^T x + b = 0 \), it is the geometric interval as
\[
r = \frac{\omega^T x + b}{\|\omega\|}
\]  
(14)

When the data point and the hyperplane are separated by a large interval, the classification confidence is high, thereby defining the objective function of the maximum interval classifier as
\[
\min \frac{1}{2} \|\omega\|^2, \text{s.t.} y_i (\omega^T x_i + b) \geq 1, i = 1, 2, \ldots, n
\]  
(15)

3. EXPERIMENTS ON K-MEANS BASED KCCA

SAVEE University’s public multimodal database contains seven emotions, which are anger, disgusted, fear, happy, neutral, sad, and surprised. The SAVEE database records emotional video and audio from four British male speakers, all of which were recorded by graduate students and researchers at the University of Surrey. It contains a total of 480 sets of video and audio by the label. To extract facial expression features, the actor’s front face was painted with 60 markers, which were painted on the forehead, eyebrows, cheeks, lips and chin. Each audio sample rate is 44.1 kHz and the duration is 2-5 s. Each emotion contains 15 text materials. Neutral emotion provides 15 other materials.

Fig. 2. Part of the sample frames in the SAVEE database.

For the feature matrix of the acquired facial grayscale, we obtain different results of emotion recognition by PCA feature extraction, as shown in Fig. 3, the red line represents the recognition rate, and the blue line represents the per-K main component. From the figure, we can see that when the facial feature is retained to 30-40 dimensions, the peak is reached. When we take 34-dimension, we reach the peak value, that is, the optimal recognition rate of facial expression emotion recognition equal to 88.89%.

We get a speech dimensionality of 68 and a facial expression dimensionality of 34. There is a nonlinear relationship between the two types of data, so we use the kernel method to raise the face expression to 68 variables and fuse the two types of data in series. According to different optimal recognition rates based on KCCA, the results of the kernel functions of Line, Sigmoid, Spline, RBF (gamma=0.01) and Polynomial (p=2) are 66.53%, 67.50%, 70.28%, 88.33% and 91.39%. It can be seen that the polynomial kernel is suitable for the identification of such data features, so we adjust the value of p. After

Fig. 3. Per-K main component and recognition rate under different face feature dimension.

the increase of p, the data after the dimension increase is too scattered, and the recognition rate decreases linearly. Therefore, based on the KCCA fusion method, the optimal recognition rate is 91.39%.

For the general treatment of the two types of data by KCCA fusion, and do not fully consider the intrinsic relationship between the features, so we consider the two types of features as the whole and reclassify. First, we normalize the dimensional data to map it to the (0, 1) interval, and then take the mean and standard deviation to form two-dimensional data. As shown in Fig. 4, we can see the two-dimensional data points in the graph. Blue dots represent facial expression features, and red dots represent speech features.

Next, we use K-Means for clustering, where data are divided into 3 categories, and iterates until each point is constant within a certain range from the centre of the cluster. As shown in Fig. 5, we get 3 types of data. We believe that the feature closer to the origin is considered to have a small influence on the emotion recognition result. Then, when we fuse, we discard the class represented by the black square.

Fig. 4. Scatter plot composed of mean and standard deviation of two types of feature.

It is known that the red data are 44-dimensional, and the 38-dimensional blue data are raised to 44-dimensional and then CCA fusion is performed to obtain an 88-dimensional feature matrix, and 93.06% is recognized by the SVM Classifier.

The confusion matrix of facial emotion recognition results of K-Means + KCCA Fusion is shown in Fig. 6. It can
be seen that the recognition rate of neutral emotions is higher. This may be due to the large difference between the speech of neutral emotions and the information about other emotions. Under the interaction of speech and facial expression, our presented method improves the recognition rate.

Table 1. Recognition rate (%) and feature dimensionality of features obtained under different methods.

| Method                      | Recognition rate | Dimension |
|-----------------------------|------------------|-----------|
| Face                        | 88.89            | 34        |
| Speech                      | 59.72            | 68        |
| Series Fusion               | 84.44            | 102       |
| PCA + CCA Fusion            | 89.75            | 68        |
| Kernel + CCA Fusion         | 91.39            | 136       |
| K-Means + KCCA Fusion       | 93.06            | 88        |

We compare the recognition results with the audio-visual emotion recognition extracted by Kim and Provost (2019) based on Audio and Upper Face Region by using the Informed Segmentation and Labeling Approach (ISLA).

Table 2. Recognition rate (%) of existing method comparative analysis.

| Recognition method          | Face   | Speech | Fusion |
|-----------------------------|--------|--------|--------|
| ISLA [Kim and Provost (2019)] | 83.96  | 80.75  | 86.01  |
| K-Means + KCCA              | 88.89  | 59.72  | 93.06  |

As shown in (2), we can see that our fusion method has a higher recognition rate based on the lower recognition rate of the single speech modality, which can verify that our fusion method is effective.

4. CONCLUSIONS

K-Means and KCCA for multimodal emotion recognition is proposed. The speech emotion feature extraction is time domain, frequency domain and MFCCs; the facial expression feature extracts the pixel point gray matrix. K-Means is used for feature clustering before fusion, and KCCA is used for serial fusion of feature matrices. SVM is used for feature recognition. Experimental results show that the recognition rate of this algorithm is higher than the rates procuded by other traditional fusion methods.

In future research, we will further explore the multimodal emotion recognition method at the feature level, find the inner relationship between modals, and apply it to the emotion recognition system to achieve efficient human-computer interaction.

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