Universal Adaptive Data Augmentation

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Abstract

Existing automatic data augmentation (DA) methods either ignore updating DA’s parameters according to the target model’s state during training or adopt update strategies that are not effective enough. In this work, we design a novel data augmentation strategy called “Universal Adaptive Data Augmentation” (UADA). Different from existing methods, UADA would adaptively update DA’s parameters according to the target model’s gradient information during training: given a pre-defined set of DA operations, we randomly decide types and magnitudes of DA operations for every data batch during training, and adaptively update DA’s parameters along the gradient direction of the loss concerning DA’s parameters. In this way, UADA can increase the training loss of the target networks, and the target networks would learn features from harder samples to improve the generalization. Moreover, UADA is very general and can be utilized in numerous tasks, e.g., image classification, semantic segmentation and object detection. Extensive experiments with various models are conducted on CIFAR-10, CIFAR-100, ImageNet, tiny-ImageNet, Cityscapes, and VOC07+12 to prove the significant performance improvements brought by UADA.

1 Introduction

The performance of deep neural networks (DNNs) would be improved significantly when more data is available. However, the collection of datasets is expensive. To this, a massive amount of data augmentation (DA) methods have been proposed to remedy the deficiency of supervised data. The generalization of DNNs could be prominently improved if an effective DA method is adapted. The current DA methods can be divided into two categories. The first category is the human-designed DA, e.g., random crop and Cutout [DeVries and Taylor, 2017]. Recently, the human-designed DA methods have been gradually replaced by automatic DA approaches [Zhang et al., 2020; Wu et al., 2020].

Existing automatic DA approaches can be divided into two main categories. The first one would set a search phase before training to obtain DA strategies, while such methods ignore updating DA’s parameters according to the target model’s state during training. The second one would optimize DA strategies during training. However, they all adopt a common strategy which is not effective enough: randomly sampling DA’s parameters and deciding the optimized parameters according to the loss value [Zhang et al., 2020; Wu et al., 2020; Lin et al., 2019]. On the contrary, we claim that DA’s parameters should be optimized according to the target model’s state, especially the gradient information. We can compute the target model’s gradient with respect to DA’s parameters, and update DA’s parameters along with the direction of such gradient. This strategy can effectively help to explore the hard sample, improving the target model’s generalization.

In this paper, we propose a novel automatic augmentation method, called “Universal Adaptive Data Augmentation” (UADA). Given a pre-defined set of DA operations, UADA would determine types and magnitudes of DA operations via random sampling during training, and adaptively update DA’s parameters according to the target model’s gradient at each training step. With UADA, the augmented data can lead to a larger loss value, avoiding the overfit on the training data and improving the generalizability on validation data.

UADA for adaptively optimizing DA’s parameters consists of four stages (as shown in Fig. 1): 1) randomly acquire a set of DA’s parameters, load a batch of data, augment the data for training, and compute the loss value; 2) obtain the gradients of the loss with respect to the DA’s parameters; 3) update
DA’s parameters along with the directions of the gradients; 4) utilize the optimized DA’s parameters to augment the data for training, and employ the loss value and backward operation to update the weights of the network. The tremendous challenge is the discrete property of DA’s parameters, i.e., it is challenging to compute the accurate gradient of the loss concerning DA’s parameters. In contrast to backward the gradient from the network to DA’s parameters, we design an effective approach to simulate the required gradients. This gradient simulation module is motivated by the black-box adversarial method [Chen et al., 2017]: negligible perturbations are added to DA’s parameters, and we measure the change of loss to decide the value of gradients. In this way, an approximate value for the gradient of the loss concerning DA’s parameters can be obtained with two network forwarding operations.

Our UADA is generally applicable to different tasks, including image classification, semantic segmentation and object detection, since UADA only requires knowing what kinds of DA operations will be utilized during the training. Extensive experiments are conducted with existing representative image classification datasets, including CIFAR-10/CIFAR-100 [Krizhevsky et al., 2009], and ImageNet [Deng et al., 2009]/tiny-ImageNet [Le and Yang, 2015]. The results on all datasets with miscellaneous network structures demonstrate the effectiveness of UADA. Moreover, experiments are also conducted in the semantic segmentation and object detection task, and the results on the Cityscapes [Cordts et al., 2016] and VOC07+12 [Everingham et al., 2012] datasets prove the effects of UADA, as summarized in Table 1.

In summary, our contributions in this paper are threefold.

- We propose a novel Universal Adaptive Data Augmentation (UADA) strategy. This strategy can adaptively optimize DA’s parameters along with the directions of loss gradient concerning DA’s parameters during training, enhancing the generalization of the trained models.
- An effective gradient simulation approach is proposed in UADA to acquire the gradient of the loss with respect to DA’s parameters.
- We conduct experiments with various model structures on different datasets and tasks, which manifest the effectiveness and generality of our UADA.

2 Related Work

2.1 Human-designed DA

Existing DA methods can be divided into human-designed DA and automatic DA. They can generate extra samples by some label-preserved transformations to increase the size of datasets and improve the generalization of networks. Generally speaking, human-designed DA policies are specified for some datasets. Therefore, varying human-designed DA methods should be chosen for different datasets. For example, Cutout [Devries and Taylor, 2017] is widely utilized in the training of CIFAR-10/CIFAR-100 [Krizhevsky et al., 2009], while it is not suitable for ImageNet [Deng et al., 2009] since Cutout would destroy the property of original samples.

2.2 Automatic DA

AutoAugment [Cubuk et al., 2019] is the first automatic augmentation method. The strategy searched by AutoAugment [Cubuk et al., 2019] includes the operation of ShearX/Y, TranslateX/Y, Rotate, AutoContrast, Invert, Equalize, Solarize, Posterize, Contrast, Color, Brightness, Sharpness, Cutout, and Sample Pairing. The range of the magnitude for each operation is also discretized uniformly into ten values. For every dataset, an augmentation policy in AutoAugment is composed of 5 sub-policies, and 5 best policies are concatenated to form a single policy with 25 sub-policies. Each sub-policy contains two operations to be applied orderly, and each operation in AutoAugment is conducted with a chosen magnitude and a direction. However, it has large search space and the expensive search cost [Cubuk et al., 2019]. Two kinds of following works are proposed: reducing the cost of search phase or searching during training to eliminate search phase.

Reduce search space. Recently, more and more researchers focus on reducing search space to acquire automatically-learned DA and speeding up the search process, e.g., the RandAugment [Cubuk et al., 2020], Fast AutoAugment [Lim et al., 2019], Faster AutoAugment [Hataya et al., 2020], DADA [Li et al., 2020], UA [Chen et al., 2020], and TrivialAugment [Müller and Hutter, 2021]. RandAugment [Cubuk et al., 2020] proposed a simplified search space that vastly reduces the computational expense of automatic augmentation; Fast AutoAugment [Lim et al., 2019] found effective augmentation policies via a more efficient search strategy based on density matching; Faster AutoAugment [Hataya et al., 2020] designed a differentiable policy search pipeline for data augmentation; DADA [Li et al., 2020] also formulated a differentiable automatic data augmentation strategy to dramatically reduces the search cost; TrivialAugment [Müller and Hutter, 2021] proposed a simple strategy which is parameter-free and only applies a single augmentation to each image.

Search with training. There is another kind of approach which learn the augmentation policy online as the training goes, e.g., PBA [Ho et al., 2019], OHL [Lin et al., 2019], Adversarial AutoAugment [Zhang et al., 2020], LTDA [Wu et al., 2020], DDAS [Liu et al., 2021a], DiVAug [Liu et al., 2021b] and OnlineAugment [Tang et al., 2020]. PBA [Ho et al., 2019] employed multiple workers that each uses a different policy and are updated in an evolutionary fashion; OHL [Lin et al., 2019] adopted multiple parallel workers with reinforcement learning to simulate the required gradients.
learning, and defined the accuracy on held-out data after a part of training. Adversarial AutoAugment [Zhang et al., 2020] made a reinforcement-learning based update, rewarding the policy yielding the lowest accuracy training accuracy, and causing the policy distribution to shift towards progressively stronger augmentations; LTDA [Wu et al., 2020] proposed strategy to maximize the training loss via multiple sampling for DA’s parameters; DDAS [Liu et al., 2021a] exploited meta-learning with one-step gradient update and continuous relaxation to the expected training loss for efficient search; DivAug [Liu et al., 2021b] designed a strategy to maximize the diversity of training data and hence strengthen the regularization effect. OnlineAugment [Tang et al., 2020] employs an augmentation model to perform data augmentation, which is differentiable and can be optimized during training. And the augmentation model can only conduct certain types of DA operations.

**Our adaptive strategy.** Different from these approaches, we propose a new framework (UADA) to online learn the augmentation policy: employ only one worker for sampling DA’ parameters in each batch during training and adaptively update the DA’ parameters according to the model state. In this strategy, we randomly determine the DA operations for every data batch, randomly decide types and magnitudes of DA operations during training, and adaptively update DA’s parameters according to model state at each step.

Our method is very different from existing differentiable and adversarial DA methods: 1) We directly compute the gradient of the loss concerning DA’s parameters which is different from existing differentiable policy [Hataya et al., 2020; Li et al., 2020; Liu et al., 2021a]. And our strategy to obtain the gradient is achieved with adversarial learning that is different from current approaches. 2) We directly update DA’s parameters along the gradient direction of loss with respect to DA’s parameters, maximizing the training loss, and this is different from Adversarial AutoAugment [Zhang et al., 2020], which training a policy network with reinforcement-learning, and LTDA [Wu et al., 2020], which randomly samples several sets of values for augmentation operations to conduct augmentation and choose the loss with maximum value for backward. UADA can be utilized for various tasks, and is implemented without search strategies, avoiding the expensive search costs.

**3 Method**

**3.1 Motivation**

Generally speaking, the target of a DA method is to avoid overfitting. To this, DA methods would normally adopt the policy to increase the training loss of the target networks, promoting the learning from hard samples.

Given a set of pre-defined DA operations, most of the current automatic DA methods [Cubuk et al., 2019; Cubuk et al., 2020] adopt the strategy of random sampling to decide the corresponding parameters. In contrast to prior works, we claim that the DA’s parameters should be decided according to the target model’s state. Therefore, we propose to adaptively update the DA’s parameters along with the direction of loss gradient concerning DA’s parameters.

**3.2 Notation**

Given a set of DA operation $O_i$, it consists of several operations $O_i, i \in [1, N]$, where $N$ is the number of the operation. $O_i$ is combined with the corresponding parameters $O_i$, including types and magnitudes. Assume $x$ and $y$ are the notations of data and its corresponding ground truth, respectively. The target model for training is represented as $F$, and the loss function to train the model is denoted $\mathcal{L}(\cdot)$. Associate with the chosen DA, for a batch of data $x$, the loss function can be

\[ \mathcal{L}(F(O_1(\ldots O_i(x) O_i N)), y), \]

where $O_i(\ldots O_i(x) O_i N)$ means applying the $i$-th DA’s operation, $O_i$, to process the data, with its parameters $O_i$.

**3.3 The Pipeline of UADA**

**Overview.** The overview of our UADA strategy can be viewed in Fig. 2, which consists of four stages. First, we load a batch of data $(x, y)$, acquire a set of DA’s parameters $O_i, i \in [1, N]$ via random sampling, apply them to process the data $x$, and obtain the corresponding loss value $\mathcal{L}$. Next, we add perturbations $\delta$ to DA’s parameters, augment the data, compute the loss value $\mathcal{L}_i, i \in [1, N]$, and measure the change of loss compared with $\mathcal{L}$. In this way, the gradients of the loss with respect to DA’s parameters $(G_i, i \in [1, N])$ can be simulated. Finally, we update DA’s parameters with the direction of the computed gradients (maximizing the training loss), apply the updated DA’s operations to process the batch of data, use the processed data to update the network’s weights. Details will be described in the following.

**Random sampling DA’s parameters.** Like normal DA strategy [Cubuk et al., 2019; Cubuk et al., 2020], we shall first obtain a set of DA’s parameters $O_i, i \in [1, N]$ via random sampling. And we can then update the corresponding values according to target model’s state. This is different from [Zhang et al., 2020; Wu et al., 2020; Lin et al., 2019] since they would adopt multiple sampling operations to obtain multiple sets of DA’s parameters during training.

**Compute gradient.** It is nearly impossible to obtain the gradient of loss concerning DA’s parameters, since DA’s parameters are often non-differentiable since their values are discrete, e.g., the coordinates in the Cutout, as well as the policy of the searched AutoAugment [Cubuk et al., 2019]. Even some operations can be differentiable, e.g., random rotation and...
Algorithm 1: The training algorithm with our Adaptive Adversarial Data Augmentation ($\dagger$ means can be done parallel)

1: Input: training data $(X, Y)$, the target model $F$, perturbation value $\delta$, step size $\epsilon$, total training epoch $t_{\text{max}}$
2: for $i = 1$ to $t_{\text{max}}$ do
3:  Load a batch of data $(x, y)$ from the training data $(X, Y)$.
4:  $\dagger$Determine parameters of $O_1, \ldots, O_N$, as $O_1, \ldots, O_N$, via random sampling.
5:  $\dagger$Apply the augmentation operations $O_1, \ldots, O_N$ for $(x, y)$. Compute the loss $\mathcal{L}(F(\mathcal{O}_N(\ldots\mathcal{O}_1(x)\mathcal{O}_1)\mathcal{O}_N), y)$.
6:  $\dagger$For $i = 1 : N$, add the perturbation $\delta$ to DA's parameters and update them with $\epsilon$ with Eq. 5, obtaining $O_1', \ldots, O_N'$.
7:  $\dagger$For $i = 1 : N$, apply the augmentation with parameters as $O_1, \ldots, O_i', \ldots, O_N$ for $(x, y)$ to compute the loss.
8:  Choose the loss with the maximal value to update the network $F$.
9: end for
10: return the trained network $F$

random translation [Riba et al., 2020], they would become non-differentiable if they are combined with the other non-differentiable operations.

Suppose a negligible random perturbation $\delta$ is added to the DA's parameter $O_i$, then we can obtain intermediate DA's parameters $\hat{O}_i = O_i + \delta$. Meanwhile, we can compute the new loss as $\mathcal{L}(F(\mathcal{O}_N(\ldots\mathcal{O}_1(x)\hat{O}_1)\mathcal{O}_N)), y)$. Comparing the new loss with the original loss $\mathcal{L}(F(\mathcal{O}_N(\ldots\mathcal{O}_1(x)O_1)\mathcal{O}_N)), y)$, we can acquire the simulated gradient of the loss with respect to the DA's parameter $O_i$, as

$G_i = \frac{\mathcal{L}(F(\mathcal{O}_N(\ldots\mathcal{O}_1(x)\hat{O}_1)\mathcal{O}_N)), y) - \mathcal{L}(F(\mathcal{O}_N(\ldots\mathcal{O}_1(x)O_1)\mathcal{O}_N)), y)}{\delta}$. \hspace{1cm} (2)

$\delta$ is small enough (its value can be positive or negative).

Update DA's parameters along with gradient direction.
The adversarial learning methods [Goodfellow et al., 2015; Madry et al., 2018; Chen et al., 2017; Guo et al., 2019] would compute the gradient of the loss with respect to the input data $x$. The computed gradient is employed to create the perturbation and obtain the perturbed input data $x'$. A representative process, which is called FGSM [Goodfellow et al., 2015], can be written as

$x' = x + \alpha \cdot \text{sign}(\nabla_x \mathcal{L}(F(x, y)))$, \hspace{1cm} (3)

where $\nabla_x$ means computing the gradient concerning the input data $x$, $\text{sign}()$ is the operation to return the sign of the input data, and $\alpha$ is the step size, i.e., the magnitude of the perturbation. The perturbed data $x'$ can cause an increase of loss for the target model $F$. Training with both clean samples $x$ and the perturbed data $x'$ can enhance the robustness of the target model $F$. However, such training will also sacrifice the generalization of the target model, leading to a decrease in performance on clean samples in the validation set.

In this paper, we apply the idea of adversarial learning to the update of DA's parameters, resulting in the enhancement of the target model's generalization. Given a batch of data $x$, we compute the loss as $\mathcal{L}(F(\mathcal{O}_N(\ldots\mathcal{O}_1(x)\mathcal{O}_1)\mathcal{O}_N)), y)$. Suppose we can compute the gradient of the loss with respect to the DA's parameters, the parameters of each DA's operation can be updated as

$O'_i = O_i + \epsilon \cdot \text{sign}(\nabla_{O_i} \mathcal{L}(F(\mathcal{O}_N(\ldots\mathcal{O}_1(x)\mathcal{O}_1)\mathcal{O}_N)), y)))$, \hspace{1cm} (4)

where $\nabla_{O_i}$ denotes the gradient of $\mathcal{L}(F(\mathcal{O}_N(\ldots\mathcal{O}_1(x)\mathcal{O}_1)\mathcal{O}_N)), y))$ and is indeed $G_i$ in Eq. 2. The training with DA's parameters $O'_i$ can also lead to the increase of loss compared with the training with $O_i$.

Thus, the updating of the parameter $O_i$ can be written as

$\hat{O}_i = O_i + \delta$

$G_i = \frac{\mathcal{L}(F(\mathcal{O}_N(\ldots\mathcal{O}_1(x)\hat{O}_1)\mathcal{O}_N)), y) - \mathcal{L}(F(\mathcal{O}_N(\ldots\mathcal{O}_1(x)O_1)\mathcal{O}_N)), y)}{\delta}$, \hspace{1cm} (5)

where $\epsilon$ is the positive hyper-parameter for control, and it should be small enough for the accuracy of simulated gradients. During the training, there are usually multiple DA's operations. We select the operation that has the most decisive influence on the change of loss value, i.e., its gradient is crucial enough. The details of the training algorithm by using UADA can be viewed in Alg. 1.

4 Experiments

4.1 Datasets

For the classification task, the datasets include CIFAR-10/CIFAR-100 [Krizhevsky et al., 2009], and ImageNet [Deng et al., 2009]/tiny-ImageNet [Le and Yang, 2015]. For experiments of image classification, we report the accuracy value (%). For the semantic segmentation and object detection, experiments are conducted on Cityscapes [Cordts et al., 2016] and VOC07+12 [Everingham et al., 2012].

4.2 Implementation Details

We use PyTorch [Paszke et al., 2017] to implement ResNet-18 [He et al., 2016b], WideResNet-28-10 [Zagoruyko and Komodakis, 2016], and Shake-Shake [Gastaldi, 2017] for CIFAR-10/CIFAR-100; ResNet-18 and ResNet-50 for ImageNet [Deng et al., 2009]/tiny-ImageNet [Le and Yang, 2015]; PSPNet [Zhao et al., 2017] for the Cityscapes [Cordts et al., 2016]; SSD [Liu et al., 2016] and RFBBNet [Liu et al., 2018] for VOC07+12 [Everingham et al., 2012].

$\delta$ is set as 1, and $\epsilon$ in Eq. 5 is also set as 1 in the classification experiments (except the ablation study). And the values of $\delta$, $\epsilon$ could be decided for different datasets adaptively according to the augmentation types. To ensure the accuracy of the estimated gradient, the value of $\delta$, $\epsilon$ should not be large. Thus, the search space for the hyper-parameter $\delta$, $\epsilon$ is not large for different datasets. And to decide the optimal value of $\delta$, $\epsilon$ for a target dataset, the value range of $\delta$, $\epsilon$ can be quantized into several points. The search can be completed on these points without much tuning. Especially, as proved by our ablation study, the performance of UADA is not sensitive to the value of $\delta$, $\epsilon$. 1599
4.3 UADA for Image Classification

Results of CIFAR-10/CIFAR-100. CIFAR-10/CIFAR-100 dataset has total 60,000 images. 50,000 images are set as the training set and 10,000 images are set as the test set. Each image has the size of $32 \times 32$ belongs to one of 10 classes. CIFAR-10/CIFAR-100 has been extensively studied with previous data augmentation methods, and we first test our proposed UADA on this data. The results on CIFAR-10/CIFAR-100 are reported in Tables 2. These results have shown that our adaptive strategy can stably outperform most of the baselines with different model structures, where “baseline” is the setting of [DeVries and Taylor, 2017] (randomly crop and random horizontal flip) and “Cutout” is the combination of randomly crop and random horizontal flip and Cutout. UADA can lead to more significant improvement for AutoAugment (AA) [Cubuk et al., 2019] and RandAugment (RA) [Cubuk et al., 2020], compared with the advancement of human-designed DA.

Moreover, the comparisons between UADA and more state-of-the-art (SOTA) approaches with complex model structures, are shown in Tables 2. These top-ranking methods contain Adversarial AutoAugment (Adv. AA) [Zhang et al., 2020], PBA [Ho et al., 2019], DADA [Li et al., 2020], Fast AutoAugment [Lim et al., 2019] (Fast AA), Faster AutoAugment [Hataya et al., 2020] (Faster AA), UA [LingChen et al., 2020], LTDA [Wu et al., 2020], DDAS [Liu et al., 2021a], DivAug [Liu et al., 2021b], O.A. [Tang et al., 2020], and TA [Müller and Hutter, 2021]. As shown in this table, the performance of our UADA is higher than most of these approaches with different network structures on CIFAR-10 and CIFAR-100. The performance of Adversarial AutoAugment, LTDA, DivAug, and UADA on CIFAR is similar while our UADA has fewer training hours as shown in Table 3. The training cost of Adv. AA is cited from [Zhang et al., 2020], the cost of LTDA is cited from [Wu et al., 2020] and the cost of DivAug is cited from [Liu et al., 2021b].

Results of ImageNet/tiny-ImageNet. We shall evaluate the effectiveness of UADA on large-scale datasets, e.g., ImageNet [Deng et al., 2009] which is a significantly challenging dataset in image recognition. We employ two network structures, ResNet18 and ResNet50, for experiments. The batch size is 256, the learning rate is 0.1, the weight decay is 0.0001, the momentum is 0.9. Moreover, we adopt the cosine learning rate for training and train the network for 100 epochs. The results are shown in Table 4 where “Baseline” includes RandomResizedCrop and RandomHorizontalFlip. These results demonstrate that UADA can also lead to performance improvement on ImageNet.

Meanwhile, we also conduct experiments with a sub-set of ImageNet called tiny-ImageNet [Le and Yang, 2015]. The tiny-ImageNet contains 100,000 images of 200 classes for training, and has 10,000 images for testing. The results on tiny-ImageNet are reported in Table 5, where “baseline” is the setting of [Lee et al., 2019] including random crop and random horizontal flip. Clearly, our UADA can also increase the performance of AA and RA.

### 4.4 Ablation Study

Alternative strategies for updating parameters. In our strategy, we update the DA’s parameters to increase the loss value, i.e., the parameters are updated along with the direction of the computed loss gradient concerning DA parameters. And there are several alternative adaptive strategies, including

- The DA’s parameters are updated with random strategy, e.g., $O'_i = O_i + \epsilon \cdot \text{sign} (R_i)$, compared with Eq. 5 ($R_i$ is the variable sampled from standard normal distribution).
- The DA’s parameters are updated with the adversarial strategy that aims to minimize the loss. Different from our strategy, this alternative strategy would update DA’s parameters in reverse to the direction of the gradient, e.g., $O'_i = O_i - \epsilon \cdot \text{sign} (G_i)$, compared with Eq. 5.

We set the experiments to demonstrate the superiority of our adaptive strategy over these alternative strategies. We conduct experiments with the image classification task on CIFAR-10/CIFAR-100 dataset, employing the model structures as ResNet18 and WideResNet28-10. The results are shown in Table 6. Obviously, the performance of these alternative adaptive strategies is weaker than our UADA.

The influence of step size. During the training, a hyper-parameter is the step size $\epsilon$ in updating DA’s parameters. We will analyze the impact of step size on the final performance. The step size is set as 1 for the experiments in the above sections, and we change its value to 2 and 3 in this experiment.
The experimental results are shown in Table 7. Compared to results of other approaches as in Tables 2, the change of step size will influence the final performance of the trained network while the corresponding performance is still higher than most of the baselines.

### 4.5 UADA for Semantic Segmentation

Compared with the image classification task, the semantic segmentation task aims to give the category prediction of all pixels. Thus, during the training, we employ the sum of all pixels’ loss in one image as the loss of one image. To demonstrate that our method can also be applied to the semantic segmentation task, we conduct the experiments on Cityscapes. The Cityscapes dataset is collected for urban scene understanding with 19 categories. It contains high-quality pixel-level annotations with 2,975, 500, and 1,525 images for training, validation, and testing. The network structure is set as PSPNet with different backbones, ResNet50 and ResNet101 [He et al., 2016a]. Since existing automatic DA approaches mainly focus on image classification, there is no automatic DA method for segmentation. Thus, we set the baseline as the DA strategy, which is commonly adopted. The results are displayed in Table 8 and we can observe the improvement brought by our UADA. And visual samples are displayed in Fig. 3.

### 4.6 UADA for Object Detection

UADA is very general for different tasks, and we apply UADA for the detection task in this section. The experiments are conducted on VOC07+12 [Everingham et al., 2012], and we choose the detection model of SSD [Liu et al., 2016] and RFBNet [Liu et al., 2018] for experiments. SSD is implemented by following the data augmentation strategy in https://github.com/amdegroot/ssd.pytorch, and the same DA operations are applied for the training of RFBNet. Moreover, the training parameters are kept as the default for SSD and RFBNet. As shown in Table 9, our UADA can be applied with these DA operations, and UADA can bring noticeable performance improvement for both SSD and RFBNet.

### 5 Conclusion

In this paper, we propose a universal adaptive data augmentation approach (UADA), where we compute the gradient of the loss with respect to the DA’s parameters and use them to update the DA’s parameters during training. With such a strategy, we can explore the hard samples during the training and avoid overfitting. Our UADA can be applied to different tasks. Extensive experiments are conducted on the image classification task and the semantic segmentation task with different networks and datasets, proving the effectiveness of our proposed UADA.

In the future, we would explore more effective gradient simulation methods. Moreover, as a general data augmentation strategy, we would prove the effects of our UADA for more tasks, including middle-level (e.g., depth estimation) and low-level computer vision tasks (e.g., super-resolution and denoising).

**Relation with current DA methods.** Besides the noticeable differences with existing DA approaches in terms of the augmentation pipeline (as carefully discussed in “Related Work” Section), UADA can also be utilized to improve the results of existing DA methods: given the DA’s parameters set by existing DA methods during training, UADA can update these parameters along the direction of loss gradient concerning DA’s parameters to improve the generalization.
Ethical Statement
There are no ethical issues.

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