Adaptability and stability analysis of new popcorn simple hybrids evaluated using additive main effects and multiplicative interaction Bayesian approaches

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INTRODUCTION

Popcorn (Zea mays var. everta) is a food snack widely appreciated in Brazilian market in different social classes. Brazil is the second largest consumer, behind only from the United States. In 2018, Brazil produced approximately 260 thousand tons of popcorn and generated a movement of US$ 628 million dollars. In addition, there is a production growth projection of 48% in 2024 (Pereira Filho and Borghi 2019). In this context, the development and release of new popcorn cultivars is essential to avoid the dependence of foreign genotypes, to be able to attend producers and consumers demand as well to avoid the genetic vulnerability (Guimarães et al. 2018).

Before release new cultivars in the market, plant breeders need to perform experiments and investigate cultivars performance under different environmental conditions. Field experiments allow adaptation, stability and performance analysis of genotypes in facing different environmental conditions (Resende et al. 2019). Several statistical methods to study adaptability and stability have been developed and widely used in plant breeding programs (Annicchiarico 2002; Fasahat...
et al. 2015). Additive main effects and multiplicative interaction analysis (AMMI) method stands out for its power to explain genotype × environment interaction, since it has greater capacity to capture the sum of the genotype × environment interaction squares compared to other methods (Gauch Junior 2013).

Some of the main methods used to evaluate adaptability and stability of new cultivars using Bayesian approaches are Eberhart and Russel (Couto et al. 2015; Euzebio et al. 2018), segmented regression (Nascimento et al. 2020), genotype plus genotype-by- environment interaction (GGE) biplot (Oliveira et al. 2016) and AMMI (Crossa et al. 2011; Freiria et al. 2020; Viele and Srinivasan 2000) methodologies. In general, Bayesian approaches to determine adaptability and stability show some advantages like the possibility to use data containing unbalanced structures, and/or under residual heterogeneity (Aczel et al. 2020). In addition, it allows to incorporate a priori information to obtain more accurate a posteriori estimation (Cotes et al. 2006; Silva et al. 2019).

The presence of credibility intervals for genotypic and environment scores is also considered an important advantage of AMMI Bayesian method in relation to AMMI frequentist (Oliveira et al. 2016). These credibility intervals lead to a greater precision to infer genotypic and environmental stability, since the subjectivity of the mean scores in relation to the proximity to the central point of the biplot (coordinates 0 and 0) is eliminated. Although there are no studies using Bayesian AMMI (BAMMI) model in popcorn, this method has been widely used to analyze adaptability and stability in several other crops (Bernardo Júnior et al. 2018; Corrêa et al. 2016; Teodoro et al. 2019; Zeffa et al. 2020).

In this study, our main goal was to evaluate adaptability and stability parameters using BAMMI approaches for grain yield and popping expansion capacity (PE) of new popcorn hybrids.

**MATERIAL AND METHODS**

**Plant material**

We evaluated 45 simple popcorn hybrids developed by Breeding Program of Special Corn from Universidade Estadual de Maringá (UEM) and three commercial hybrids used as checks (IAC 125, Pop Top and Pop Ten). UEM’s popcorn hybrids were originated from crosses between inbred lines obtained from eight commercial cultivars: Zélia (triple hybrid), UEM–M2 (open pollination variety), Zaeli (simple hybrid), IAC–112 (modified simple hybrid), IAC–125 (topcross hybrid), BRS Angela (open pollination variety), Maradona (open pollination variety) and Colombina (open pollination variety).

**Environment localization and experimental design**

We analyzed 48 popcorn hybrids in six different environments during 2016 and 2017 seasons (Table 1). Experiments were arranged in a complete randomized block design with three replications. Each plot consisted of two lines of 4 m and the spaced between lines was 0.90 m. Sowing was carried out with plants spaced 0.20 m apart, totaling 40 plants in a useful area of 7.2 m². Base fertilization was applied using formulated fertilizer 8–20–20 (N–P₂O₅–K₂O) in a proportion of 280 kg·ha⁻¹.

**Table 1. Identification and characterization of six environments analyzed in this study**

| Code | Location          | State        | Season | Coordinates | Altitude | Climate¹ |
|------|-------------------|--------------|--------|-------------|----------|----------|
| Env1 | Londrina          | Paraná       | 2016   | 23° 22´ 51´ 22´ | 566 m    | Cfa      |
| Env2 | Campo Novo dos Parecis | Mato Grosso  | 2016   | 13° 40´ 57´ 53´ | 572 m    | Aw       |
| Env3 | Maringá           | Paraná       | 2016   | 23° 25´ 51´ 57´ | 550 m    | Cfb      |
| Env4 | Sabáudia          | Paraná       | 2016   | 23° 19´ 51´ 33´ | 725 m    | Cfa      |
| Env5 | Londrina          | Paraná       | 2017   | 23° 22´ 51´ 22´ | 566 m    | Cfa      |
| Env6 | Campo Novo dos Parecis | Mato Grosso  | 2017   | 13° 40´ 57´ 53´ | 572 m    | Aw       |

¹ Köppen climate classification= Cfa: humid subtropical climate; Cfb: Oceanic Temperate climate; Aw: Tropical savanna climate with dry-winter.
Nitrogen top-dressing fertilization with urea (250 kg·ha⁻¹) was carried out at V6 development stage. Additional cultural treatments were carried out in accordance with the practices commonly adopted for popcorn crop.

**Agronomic trait analysis**

Grain yield (GY, kg·ha⁻¹ with moisture of 13.5%) values was obtained by measuring grain mass of each plot using Schmildt et al. (2001) methodology for stand correction. Popping expansion capacity (mL·g⁻¹) was determined from the average value of two samples composed by 30 g of grains (moisture of 13.5%) obtained from the central part of ears. Grain samples were expanded in an electric popcorn maker using a constant temperature of 280 °C for 2 min and 10 s. Expanded popcorn volume were evaluated in a 2,000 mL graduated beaker.

**Statistical analyses**

The presence of genotype × environment interaction was evaluated for GY and PE comparing the following models: (i) full model (considering double interaction between genotype × environment); and (ii) null model (considering interaction absence between genotype × environment). The full model follows the mathematical model shown in Eq. 1:

\[
y_{ijk} = \mu + g_i + b_{jk} + e_k + g e_{ik} + \varepsilon_{ijk}
\]

where: \(\mu\) is the overall mean, \(g_i\) is the fixed effect of genotype \(i\), \(b_{jk}\) is the random effect of block \(j\) within environment \(k\), \(e_k\) is the fixed effect of environment \(k\), \(g e_{ik}\) is the fixed effect of genotype × environment interaction, and \(\varepsilon_{ijk}\sim N(0,\sigma^2)\) is the random effect of error associated with each experimental plot.

The marginal a posteriori distributions were performed considering noninformative a priori distributions for all model parameters using software R (https://www.r-project.org/) through the ‘MCMCglmm’ package (Hadfield 2010). A total of 1,000,000 values were generated by Markov Chain Monte Carlo (MCMC) process, assuming a burn-in period and thinning interval of 100,000 and 5 iterations, respectively. The MCMC convergence was verified using Heidelberger and Welch (1983) criteria through ’coda’ package (Plummer et al. 2006).

All tested models were compared using deviance information criterion (DIC) as proposed by Spiegelhalter et al. (2002) (Eq. 2):

\[
DIC = D(\bar{\theta}) + 2p_D
\]

where: \(D(\bar{\theta})\) is a point estimate of the deviance obtained by replacing parameters with their respective a posteriori mean estimates in the likelihood function, while \(p_D\) is the effective number of parameters in the model. Models with smaller DIC should be preferred over models with higher DIC. However, differences \((D)\) between DIC values of models \(a\) and \(b\) are given by \(D = |DIC_a - DIC_b|\), and thus, if \(D < 5\), there is no significant difference between compared models; if \(5 \leq D \leq 10\), the difference is significant; and \(D > 10\), the difference is highly significant.

Simple linear correlations analysis between GY and PE were performed using software R through the package ‘BayesianFirstAid’ (Bååth 2014). Median scores were reported with their respective 95% highest posterior density (HPD) intervals. Correlation estimates were considered significant when the HPD intervals did not overlap zero. The marginal a posteriori distributions were performed considering noninformative a priori distributions for all model parameters. A total of 100,000 values were generated by MCMC process, assuming a burn-in period and thinning interval of 10,000 and 10 iterations, respectively. The MCMC convergence diagnosis were verified using Heidelberger and Welch criteria (1983) through ’coda’ package (Plummer et al. 2006).

Adaptability and stability of new popcorn hybrids were verified for GY and PE using BAMMI method following Eq. 3:

\[
y = 1_n\mu + X_1\tau + X_2\delta + \sum_{k=1}^{l}\lambda_k diag(X_1\alpha_k)X_2\gamma_k + \varepsilon
\]
where: \( \mathbf{1}_n \) is the vector of order \( n \times 1 \), \( \mu \) is the overall mean, \( \mathbf{X}_1 \) is the genotypes matrix of order \( n \times g \), \( \tau \) is the effect vector \( g \times 1 \) for genotypes, \( \mathbf{X}_2 \) and \( \delta \) are the matrices for environments of order \( n \times a \) and the effect vector \( a \times 1 \) for environments, respectively. \( \lambda_k \) is the singular value for \( k \)th principal component, \( t \) is the number of multiplicative terms \([t \leq \min (g, a) – 1]\), \( \alpha_k \) and \( \gamma_k \) are the singular vectors of \( k \) for genotypes and environments, respectively; and \( \varepsilon \) is the vector \( n \) of error effect. Vector \( \varepsilon \) has a multivariate normal distribution with zero mean and variance–covariance matrix \( \sigma^2 \mathbf{I}_n \). In this way, vector \( \mathbf{y} \) also has a multivariate normal distribution.

The parameters estimations of the equation model previously presented assume that the conditional distribution of \( \mathbf{y} \), given that \( \mu, \tau, \delta, \lambda, \alpha, \gamma, \) and \( \sigma^2 \) is a multivariate normal distribution:

\[
\mathbf{y} \mid \mu, \tau, \delta, \lambda, \alpha, \gamma, \sigma^2 \sim N \left( \mathbf{1}_n \mu + \mathbf{X}_1 \tau + \mathbf{X}_2 \delta + \sum_{k=1}^{t} \lambda_k \text{diag}(\mathbf{X}_1 \alpha_k) \mathbf{X}_2 \gamma_k \mathbf{I}_n \sigma^2 \right)
\]  

where: \( \mathbf{I}_n \) is the identity matrix of order \( n \). The \textit{a priori} distributions used for the parameters were the same as proposed by Crossa et al. (2011):

\[
\mu \mid \mu_\mu, \sigma^2_\mu \sim N(\mu_\mu, \sigma^2_\mu)
\]  

\[
\tau \mid \mu_\tau, \sigma^2_\tau \sim N(\mu_\tau, \mathbf{I}_g \sigma^2_\tau)
\]  

\[
\delta \mid \mu_\delta, \sigma^2_\delta \sim N(\mu_\delta, \mathbf{I}_a \sigma^2_\delta)
\]  

\[
\lambda_k \mid \mu_{\lambda_k}, \sigma^2_{\lambda_k} \sim N^+(\mu_{\lambda_k}, \mathbf{I}_e \sigma^2_{\lambda_k}) \text{ and } \lambda_k > 0 \text{ and } \lambda_{k-1} \geq \lambda_k
\]  

\[
\sigma^2_\varepsilon \mid \nu_e, s^2_e \sim \text{Inv} \sim \chi^2 (\nu_e, s^2_e)
\]  

where: \( N \) represents the normal distribution, \( N^+ \) is the positive normal distribution, and \( \text{Inv} \sim \chi^2 \) is the inverse chi-square distribution. In our study, \textit{a priori} distributions were noninformative, with zero being used as \textit{a priori} distribution for the mean in all genotypic and environmental effects, and high values for the variances, which resulted in: \( \mu_\mu = 0, \mu_\tau = 1g \times 0, \mu_\delta = 1a \times 0 \) and \( \mu_{\lambda_k} = 0 \), and for the variances \( \sigma^2_\mu, \sigma^2_\tau, \sigma^2_\delta \) and \( \sigma^2_{\lambda_k} = 1 \times 10^{15} \). The \textit{a posteriori} distribution was estimated as follows:

\[
p \left( \mu, \tau, \delta, \lambda, \alpha, \gamma, \sigma^2 \mid \mathbf{y} \right)
\]  

\[
\propto \exp \left[ -\frac{1}{2} \sigma^2_{\mu} (\mu_\mu - \mu)'(\mu_\mu - \mu) \right]
\]  

\[
\times \exp \left[ -\frac{1}{2} \sigma^2_{\tau} (\mu_\tau - \tau)'(\mu_\tau - \tau) \right]
\]  

\[
\times \exp \left[ -\frac{1}{2} \sigma^2_{\delta} (\mu_\delta - \delta)'(\mu_\delta - \delta) \right]
\]  

\[
\times \prod_{k=1}^{t} \exp \left[ -\frac{1}{2} \sigma^2_{\lambda_k} (\mu_{\lambda_k} - \lambda_k)'(\mu_{\lambda_k} - \lambda_k) \right]
\]
Adaptability and stability of popcorn hybrids

A total of 1,000,000 values were generated by MCMC process, assuming a burn-in period and thinning interval of 100,000 and 5 iterations, respectively. The MCMC convergence was verified using Heidelberger and Welch (1983) criterion through ‘coda’ package (Plummer et al. 2006). The statistical analyses of BAMMI method were performed using R script developed by Crossa et al. (2011).

RESULTS AND DISCUSSION

Based on our DIC values, genotype × environment interaction was observed for both evaluated agronomic traits, since full models presented lower DIC values when compared to null models for GY and PE (Table 2). The presence of genotype × environment interaction for GY and PE has been reported in several popcorn studies, corroborating with this study and indicating that differential behavior of genotypes is environment-dependent (Gerhardt et al. 2019; Paula et al. 2010; Pena et al. 2012; Peterlini et al. 2020). In addition, these results confirm that adaptability and stability evaluation are important to mitigate the effects of the genotype × environment interaction (Resende et al. 2019).

Correlation coefficients (r) between GY and PE was negative and showed low magnitude (r = –0.24, 95% HPD = –0.31; –0.17) (Table 2). The negative relationship between GY and PE was already reported in previous popcorn studies where authors reported the difficulty to simultaneously select the two most important agronomic traits for the popcorn breeding programs (Bombonato et al. 2020; Brocolli and Burak 2004; Cabral et al. 2016; Dofing et al. 1991). Dofing et al. (1991) reported a low phenotypic correlation coefficient (r_p = –0.34; p < 0.01) between GY and PE in popcorn when they were evaluating this relationship. However, it was already reported a moderate magnitude of correlation between GY and PE (–0.67; p < 0.05) in a study using 90 popcorn hybrids (Cabral et al. 2016).

A posteriori means of environmental effects (δ) and their respective HPD intervals are shown in Table 3. Overall means (μ) of GY and PE were 2,024 kg∙ha⁻¹ (95% HPD = 1,993.4; 2,054.4 kg∙ha⁻¹) and 28.6 mL∙g⁻¹ (95% HPD = 27.5; 29.7 mL∙g⁻¹), respectively, emphasizing the high potential of some evaluated new popcorn hybrids. Regarding environmental effects, only Env1 and Env2 environments were considered as being favorable environments for GY, since their a posteriori means were positive and above overall average (Table 3). Env3 and Env4 environments were classified as favorable for PE trait, while Env1 and Env6 were considered as unfavorable environments. Env2 and Env5 environments did not have a defined classification, since their HPD intervals overlapped zero. These results indicate that environments favorable

\[
x \exp \left\{ -(1/2 \sigma_\varepsilon^2) \left[ y - 1_n \mu + X_1 \tau + X_2 \delta + \sum_{k=1}^t \lambda_k \text{diag}(X_1 \alpha_k) X_2 \gamma_k \right] \right\} = \left( \sigma_\varepsilon^2 \right)^{-(n + p_z)/2} \exp\left\{ -(1/2 \sigma_\varepsilon^2) \right\}
\]

\[
\begin{align*}
\text{Table 2. Deviance information criterion (DIC) for full model (considering interactions between genotype [G] × environment [E]) and null model (considering only additive effects between G and E) for grain yield and popping expansion capacity evaluated in 48 genotypes of popcorn in six environments and correlation between both traits.}
\end{align*}
\]

| Trait                   | DIC       | Correlation (95% HPD)$^1$ |
|-------------------------|-----------|----------------------------|
|                         | Full [13882.17] | 13933.44 | 0.24 (–0.31; –0.17) |
| Grain yield (kg∙ha⁻¹)    |           |   | |
| Popping expansion (mL∙g⁻¹) | 450795     | 4455.10 | |

$^1$Correlation coefficients are considered as significant when highest posterior density (HPD) intervals do not overlap the value of zero.
to GY can be classified as unfavorable for PE, emphasizing the difficulty of simultaneously select both interesting agronomic traits.

The \textit{a posteriori} means of genotypic effects (\(\tau\)) with their respective HPD intervals are shown in Table 4. Twenty-three popcorn hybrids presented a \textit{posteriori} positive means with HPD intervals that did not overlap the zero value for GY, showing means above the overall average. Five new hybrids stood out: UEM–2 (428.6 kg·ha\(^{-1}\), 95% HPD = 416.6; 440.7 kg·ha\(^{-1}\)), UEM–3 (493.9 kg·ha\(^{-1}\), 95% HPD = 481.9; 505.9 kg·ha\(^{-1}\)), UEM–5 (639.6 kg·ha\(^{-1}\), 95% HPD = 627.6; 651.5 kg·ha\(^{-1}\)), UEM–7 (390.8 kg·ha\(^{-1}\), 95% HPD = 378.8; 402.8 kg·ha\(^{-1}\)) and UEM–39 (403.2 kg·ha\(^{-1}\), 95% HPD = 391.3; 415.17 kg·ha\(^{-1}\)). In addition, 13 new hybrids (UEM–2, UEM–3, UEM–4, UEM–5, UEM–6, UEM–7, UEM–9, UEM–18, UEM–19, UEM–24, UEM–26, UEM–27 and UEM–39) showed \textit{a posteriori} means higher than the best commercial check IAC–125 (195.0 kg·ha\(^{-1}\), 95% HPD = 183.2; 207.1 kg·ha\(^{-1}\)).

For PE, 12 hybrids presented \textit{a posteriori} positive means of genotypic effect (\(\tau\)) with HPD intervals that did not overlap zero (Table 4). The hybrids that stood out the most were: IAC–125 (3.4 mL·g\(^{-1}\), 95% HPD = 2.1; 4.7 mL·g\(^{-1}\)), Pop Top (2.9 mL·g\(^{-1}\), 95% HPD = 1.6; 4.3 mL·g\(^{-1}\)), Pop Ten (6.1 mL·g\(^{-1}\), 95% HPD = 4.8; 7.5 mL·g\(^{-1}\)), UEM–1 (2.9 mL·g\(^{-1}\), 95% HPD = 1.7; 4.3 mL·g\(^{-1}\)), UEM–7 (2.7 mL·g\(^{-1}\), 95% HPD = 1.4; 4.0 mL·g\(^{-1}\)) and UEM–38 (2.4 mL·g\(^{-1}\), 95% HPD = 1.1; 3.8 mL·g\(^{-1}\)). Although the three commercial checks stood out in relation to PE, nine new hybrids (UEM–1, UEM–3, UEM–5, UEM–6, UEM–7, UEM–9, UEM–18, UEM–19, UEM–24, UEM–26, UEM–27 and UEM–39) showed \textit{a posteriori} means higher than the best commercial check IAC–125 (195.0 kg·ha\(^{-1}\), 95% HPD = 183.2; 207.1 kg·ha\(^{-1}\)).

For the environment scores, Env1, Env2 and Env5 for GY, and Env2 and Env3 for PE were the environments which contributed more to genotype × environment interaction, since their HPD intervals did not overlap zero value on the axis of PC1 and PC2 simultaneously (Figs. 1b and 2b). These environments can be classified as being unstable environments and with low predictability (Crossa et al. 2011; Teodoro et al. 2019). Environmental stability refers to the reliability of the genotypes ordering in a given environment in relation to the classification of overall means (Bernardo Júnior et al. 2018; Lin and Binns 1994). In this context, Env3, Env4 and Env6 for GY and Env1, Env4, Env5 and Env6 for PE can be classified as stable environments, since they presented genotypes ranking with low discordance in relation to the classification of overall means.

### Table 3. \textit{A posteriori} mean of Bayesian additive main effects and multiplicative interaction (BAMMI) for grain yield (GY, kg·ha\(^{-1}\)) and popping expansion capacity (PE, mL·g\(^{-1}\)) of 48 popcorn genotypes in six environments for overall mean (\(\mu\)) and environment effect (\(\delta\)).

| Parameter\(^{a}\) | Mean (95% HPD) | Environments |
|------------------|----------------|--------------|
|                  | GY             | PE           | GY             | PE            |
| \(\delta_1\) (Env1) | 651.8 (640.8; 662.7) | –3.1 (–4.3; –1.9) | Favorable | Unfavorable |
| \(\delta_2\) (Env2) | 1061.0 (1050.1; 1072.0) | –0.1 (–1.3; 1.15) | Favorable | Undefined |
| \(\delta_3\) (Env3) | –779.1 (–790.1; –765.1) | 1.5 (0.3; 2.8) | Unfavorable | Favorable |
| \(\delta_4\) (Env4) | –728.9 (–739.8; –712.9) | 4.2 (3.0; 5.4) | Unfavorable | Favorable |
| \(\delta_5\) (Env5) | –102.7 (–113.7; –91.7) | 0.9 (–0.3; 2.1) | Unfavorable | Undefined |
| \(\delta_6\) (Env6) | –102.2 (–113.3; –91.3) | –3.4 (–4.7; –2.2) | Unfavorable | Unfavorable |
| \(\mu\) (mean) | 2024.0 (1993.4; 2054.4) | 28.6 (275; 29.7) | |

\(^{a}\)Environment description is showed in Table 2.
Table 4. *A posteriori* mean of Bayesian additive main effects and multiplicative interaction (BAMMI) for grain yield (GY) and popping expansion capacity (PE) of 48 popcorn genotypes in six environments for overall mean ($\mu$) and genotypic effects ($\tau_i$) with their respective 95% highest posterior density (HPD).

| Parameter       | Mean (95% HPD) | Wide stability$^1$/ |
|-----------------|---------------|----------------------|
|                 | GY (kg·ha$^{-1}$) | PE (mL·g$^{-1}$) | GY | PE |
| $\tau_{1}$ (IAC–125) | 195.0 (183.3; 207.1) | 3.4 (2.1; 4.7) | + | + |
| $\tau_{2}$ (Pop Top) | -314.3 (–326.3; –302.4) | 2.9 (1.6; 4.3) | + | + |
| $\tau_{3}$ (Pop Ten) | -66.2 (–78.1; 54.2) | 6.1 (4.8; 7.5) | – | + |
| $\tau_{4}$ (UEM–1) | -334.6 (–346.6; 322.5) | 2.9 (1.7; 4.3) | – | + |
| $\tau_{5}$ (UEM–2) | 428.6 (416.6; 440.7) | -3.2 (–4.6; –1.9) | + | + |
| $\tau_{6}$ (UEM–3) | 493.9 (481.9; 505.9) | 1.4 (0.1; 2.7) | + | + |
| $\tau_{7}$ (UEM–4) | 268.4 (256.3; 280.3) | -12 (–25.6; 0.1) | + | + |
| $\tau_{8}$ (UEM–5) | 639.6 (627.6; 651.5) | 0.4 (–0.9; 1.7) | – | + |
| $\tau_{9}$ (UEM–6) | 470.1 (458.2; 481.9) | -1.4 (–2.8; –0.1) | – | + |
| $\tau_{10}$ (UEM–7) | 390.8 (378.8; 402.8) | 2.7 (1.4; 4.0) | + | + |
| $\tau_{11}$ (UEM–8) | -465.3 (–584.4; 34.6) | 1.2 (–0.1; 2.6) | + | + |
| $\tau_{12}$ (UEM–9) | 229.1 (217.1; 241.26) | -1.8 (–3.1; –0.5) | + | + |
| $\tau_{13}$ (UEM–10) | 70.8 (58.9; 82.8) | -0.7 (–2.1; 0.6) | + | + |
| $\tau_{14}$ (UEM–11) | -43.7 (–55.7; 31.8) | 1.5 (0.2; 2.9) | + | + |
| $\tau_{15}$ (UEM–12) | -942.9 (–954.8; –930.9) | -0.5 (–1.9; 0.8) | – | + |
| $\tau_{16}$ (UEM–13) | 70.5 (58.5; 82.5) | 1.2 (–0.1; 2.6) | – | + |
| $\tau_{17}$ (UEM–14) | -257.1 (–268.9; –244.9) | 0.7 (–0.6; 2.0) | + | + |
| $\tau_{18}$ (UEM–15) | -582.1 (–594.1; –570.1) | 1.1 (–0.2; 2.5) | + | + |
| $\tau_{19}$ (UEM–16) | -358.5 (–370.4; –346.6) | 2.1 (0.8; 3.5) | + | + |
| $\tau_{20}$ (UEM–17) | -273.8 (–285.8; –261.8) | -0.4 (–1.7; 1.0) | – | + |
| $\tau_{21}$ (UEM–18) | 254.1 (242.1; 266.1) | -2.3 (–3.6; 0.9) | + | + |
| $\tau_{22}$ (UEM–19) | 309.2 (297.3; 321.2) | -3.8 (–5.1; –2.4) | + | + |
| $\tau_{23}$ (UEM–20) | 103.4 (91.3; 115.4) | -0.5 (–1.8; 0.9) | + | + |
| $\tau_{24}$ (UEM–21) | -57.6 (–69.6; –45.7) | -3.9 (–5.3; –2.6) | + | + |
| $\tau_{25}$ (UEM–22) | -40.7 (–52.6; –28.6) | 0.6 (–0.7; 2.0) | + | + |
| $\tau_{26}$ (UEM–23) | 66.1 (54.2; 78.1) | -1.3 (–2.7; –0.0) | – | + |
| $\tau_{27}$ (UEM–24) | 343.4 (331.4; 355.2) | -2.8 (–4.1; –1.5) | + | – |
| $\tau_{28}$ (UEM–25) | -6.3 (–18.3; 5.7) | -2.0 (–3.3; –0.7) | – | + |
| $\tau_{29}$ (UEM–26) | 264.6 (252.7; 276.5) | 0.9 (–0.4; 2.3) | + | + |
| $\tau_{30}$ (UEM–27) | 359.8 (347.8; 371.7) | -0.8 (–2.2; 0.5) | + | + |
| $\tau_{31}$ (UEM–28) | 25.6 (13.7; 37.5) | -0.9 (–2.2; 0.4) | – | – |
| $\tau_{32}$ (UEM–29) | 113.6 (101.7; 125.7) | -1.3 (–2.7; –0.0) | – | + |
| $\tau_{33}$ (UEM–30) | -88.8 (–100.7; –76.9) | -3.0 (–4.3; –1.7) | – | + |
| $\tau_{34}$ (UEM–31) | -304.4 (–316.3; –292.5) | -0.4 (–1.8; 0.9) | + | + |
| $\tau_{35}$ (UEM–32) | -61.5 (–71.6; –49.6) | -1.6 (–2.9; –0.2) | + | + |
| $\tau_{36}$ (UEM–33) | 11.4 (–0.1; 23.3) | 1.3 (–0.0; 2.6) | + | + |
| $\tau_{37}$ (UEM–34) | -255.8 (–267.8; –243.8) | 1.6 (0.3; 2.9) | + | + |
| $\tau_{38}$ (UEM–35) | -239.1 (–251.1; 227.2) | -1.9 (–3.2; –0.6) | + | + |
| $\tau_{39}$ (UEM–36) | -411.8 (–423.9; 399.8) | 1.9 (0.5; 3.2) | + | + |
| $\mu$ (mean) | 2024.0 (1993.4; 2054.4) | 28.6 (28.5; 28.7) | + | + |

$^1$Genotypes considered with (+) and without (–) wide stability based on Figs. 1 and 2.
Figure 1. Genotype (a) and environment (b) scores with their respective 95% highest posterior density (HPD) intervals of 48 popcorn hybrids evaluated for grain yield (kg ha\(^{-1}\)) in six environments.
Adaptability and stability of popcorn hybrids

Hybrids and environment not plotted on the graphs showed HPD intervals overlapping with zero value in both principal components (PC1 and PC2). Env2 = Campo Novo dos Parecis (2016). Env3 = Maringá (2016). Source. Elaborated by the authors.

**Figure 2.** Genotype (a) and intervals environment (b) scores with their respective 95% highest posterior density (HPD) of 48 popcorn hybrids evaluated popping expansion capacity (mL∙g⁻¹) in six environments.
Through the coordinates of PC1 and PC2 it is possible to infer about the specific adaptation of hybrids to certain environments (Figs. 1 and 2). In this sense, considering only hybrids and environments that showed significant contribution for genotype × environment interaction to GY, eight new hybrids (UEM–6, UEM–12, UEM–13, UEM–17, UEM–25, UEM–28, UEM–29 and UEM–33) showed specific adaptation to Env1, while six hybrids (Pop Ten, UEM–1, UEM–5, UEM–23, UEM–29 and UEM–43) showed specific adaptation to Env2 (Fig. 1b). In relation to PE, hybrids UEM–24 and UEM–28 showed specific adaptation to Env2 and Env3 environments, respectively (Fig. 2b).

Although the selection of genotypes is carried out for specific environments, usually the plant breeders select stable genotypes that also showed high GY and PE overall means (Amaral Júnior et al. 2016; Bombonato et al. 2020; Scapim et al. 2010; Silva et al. 2013). In this way, the hybrids UEM–3 and UEM–7 stood out being highly stable and showing high GY and PE values (Table 4). For GY, both hybrids presented a posteriori means higher than the other three commercial checks, while for PE the a posteriori means of these hybrids were did not differ statistically to IAC–125 and Pop Top commercial checks. Therefore, UEM–3 and UEM–7 new hybrids have the potential to be registered as a cultivar in the Ministry of Agriculture, Livestock and Supply (MAPA – Ministério da Agricultura, Pecuária e Abastecimento) and recommended to popcorn producers.

CONCLUSION

Our results indicated the presence of genotype × environment interaction for GY and PE traits. Negative correlations were observed between GY and PE, confirming the difficulty to select popcorn genotypes with high GY and PE at the same time. In addition, we also observed that the favorable environments for GY were not always favorable for PE. UEM–3 and UEM–7 new hybrids are promising options to recommend for popcorn-producing regions, since they showed wide stability and high GY and PE values.

AUTHORS’ CONTRIBUTION

Conceptualization: Castro C. C., Scapim C. A., Zeffa D. M. and Gonçalves L. S. A.; Investigation: Castro C. C., Ruffato S., Barth Pinto R. J. and Scapim C. A.; Writing – Original Draft: Castro C. C., Zeffa D. M. and Gonçalves L. S. A.; Writing – Review and Editing: Scapim C. A., Ivamoto S. T. and Gonçalves L. S. A.; Funding Acquisition: Scapim C. A. and Barth Pinto R. J.; Resources: Scapim C. A. and Barth Pinto R. J.; Supervision: Scapim C. A. and Barth Pinto R. J.

DATA AVAILABILITY STATEMENT

Data will be available upon request.

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