The TW Hya Rosetta Stone Project IV: A Hydrocarbon-rich Disk Atmosphere

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Abstract

Connecting the composition of planet-forming disks with that of gas giant exoplanet atmospheres, in particular through C/O ratios, is one of the key goals of disk chemistry. Small hydrocarbons like C2H and C3H2 have been identified as tracers of C/O, as they form abundantly under high C/O conditions. We present resolved c–C2H2 observations from the TW Hya Rosetta Stone Project, a program designed to map the chemistry of common molecules at 15–20 au resolution in the TW Hya disk. Augmented by archival data, these observations comprise the most extensive multi-line set for disks of both ortho and para spin isomers spanning a wide range of energies, EJ = 29–97 K. We find the ortho-to-para ratio of c–C3H2 is consistent with 3 throughout extent of the emission, and the total abundance of both c–C3H2 isomers is (7.5–10) × 10−11 per H atom, or 1%–10% of the previously published C3H abundance in the same source. We find c–C3H2 comes from a layer near the surface that extends no deeper than z/r = 0.25. Our observations are consistent with substantial radial variation in gas-phase C/O in TW Hya, with a sharp increase outside ∼30 au. Even if we are not directly tracing the midplane, if planets accrete from the surface via, e.g., meridional flows, then such a change should be imprinted on forming planets. Perhaps interestingly, the HR 8799 planetary system also shows an increasing gradient in its giant planets’ atmospheric C/O ratios. While these stars are quite different, hydrocarbon rings in disks are common, and therefore our results are consistent with the young planets of HR 8799 still bearing the imprint of their parent disk’s volatile chemistry.

Unified Astronomy Thesaurus concepts: Protoplanetary disks (1300); Astrochemistry (75); Exoplanet atmospheric composition (2021)

1. Introduction

We are entering an era where measurements of the compositions of giant exoplanet atmospheres are becoming increasingly common. A diversity of chemical properties (via carbon-to-oxygen ratios, or C/O) has been seen (e.g., Madhusudhan et al. 2011; Madhusudhan 2012; Kreidberg et al. 2015), including within a single planetary system (HR8799; Bonnefoy et al. 2016; Lavie et al. 2017; Lacour et al. 2019; Molière et al. 2020). To understand the origins of this diversity, we must study planets’ formation environments: gas rich protoplanetary disks. The chemical properties of these disks are driven by at least two factors, i. the make-up of the molecular cloud out of which the star and disk formed (e.g., Visser et al. 2009, 2011; Drozdovskaya et al. 2019), and ii. the disk’s physical properties (irradiation level, temperature, density, etc.) that can drive an actively evolving chemistry prior to and during planet formation (e.g., Cleve es et al. 2014).

The relative contribution of these factors, i.e., the role of inheritance versus later chemical reprocessing in the disk itself, changes with both radial and vertical location. For example, near the highly irradiated disk surface and/or close to the central star, the chemistry is effectively “scrambled” leaving little memory of the molecular composition of the cloud. Near the midplane, especially in the outer disk (beyond ∼10 au), the high extinction levels provide a safer haven for some of the material originating in the molecular cloud to be preserved, with further processing requiring moderate to high external irradiation or cosmic ray fluxes (e.g., Bergin et al. 2014; Cleve es et al. 2014; Y u et al. 2017; Eistrup et al. 2018); however, it is unclear whether disks are sufficiently ionized to facilitate an active midplane chemistry (Cleeves et al. 2015).

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There is a growing body of evidence that the observable chemistry in planet forming disks, at least that within the “warm molecular layer” (Aikawa et al. 2002), deviates from “typical” molecular cloud chemistry. For example, observations of CO emission and CO isotopologues are faint when compared to expectations based on dust masses from millimeter emission, a gas-to-dust correction factor, and an interstellar CO abundance (e.g., Favre et al. 2015; Schwarz et al. 2016; Ansdell et al. 2016). Water was surprisingly challenging to detect in protoplanetary disks with Herschel, and when detected, fluxes were more than an order of magnitude lower than anticipated based on astrochemical modeling with UV irradiated water ice at interstellar abundances (Bergin et al. 2010; Hogerheijde et al. 2011; Du et al. 2017). The abundant interstellar complex organic methanol, first detected in disks by the Atacama Large Millimeter Array (ALMA), was similarly quite faint (Walsh et al. 2014), yet observations of CH$_3$CN appeared relatively bright, with nearly a 1:1 abundance ratio inferred between them for the TW Hya disk (Loomis et al. 2018).

Therefore, we need better constraints on the chemical composition of disk gas, especially at an elemental level, to understand the chemical reservoir from which planets may accrete and what, e.g., C/O or N/O ratio they might inherit at least initially. Chemical models have demonstrated that the abundances of simple hydrocarbons like C$_2$H and c-C$_3$H$_2$ are very sensitive to the C/O ratio of the gas (e.g., Bergin et al. 2016; Kama et al. 2016; Cleeves et al. 2018; Miotello et al. 2019; Fedele & Favre 2020). Pure freeze-out of solids from gas can vary C/O in the gas or ice from ~0.2 to 1 (Öberg et al. 2011) around the conventional solar value of 0.54. Cleeves et al. (2018) found that the abundance of C$_2$H was extremely sensitive to the bulk C/O in volatiles until C/O > 1 (ratios of 1.9 and 3.7 were indistinguishable in their models; see also Bosman et al. (2021)). Therefore, hydrocarbons are expected to be a useful tool for estimating C/O up to ~1.5, which overlaps with observed exoplanet atmospheric values. As a result, disk hydrocarbon studies open an exciting potential avenue to connect the composition of the gas in disks to that measured in planets’ atmospheres. In addition, observations of hydrocarbon emission in disks have been found to be generally quite bright at sub-mm wavelengths (Qi et al. 2013a; Kastner et al. 2014, 2015; Bergin et al. 2016; Cleeves et al. 2018; Bergner et al. 2019), enabling small surveys (≤14 sources) of C$_2$H emission in disks (Guilloteau et al. 2016; Bergner et al. 2019; Miotello et al. 2019).

The next step is localizing the distribution of hydrocarbons in the disk, to understand the range of possible C/O values a planet could inherit from a single disk environment. The first resolved image of C$_2$H was made of the TW Hya disk by Kastner et al. (2015) with the Submillimeter Array, where it was found to have a ring-like morphology. Its disk-averaged physical nature was constrained using multiple transitions and its hyperfine structure. However, due to the face-on nature of this disk $5^0$−$7^0$ (Qi et al. 2006, 2008; Huang et al. 2018), degenerate excitation solutions were found to fit the data, either a cold, dense solution or alternatively a relatively warmer, but low density solution. The former would suggest an enhanced (greater than solar) C/O ratio fairly deep into the disk gas, near the planet-forming region, while the latter would suggest that the C/O enhancement primarily is closer to the surface and perhaps less connected to the planet-forming midplane.

Bergin et al. (2016) presented further resolved observations confirming C$_2$H’s ring-like geometry, as well as observations of c-C$_3$H$_2$ toward TW Hya. The spatial distribution of C$_2$H and c-C$_3$H$_2$ were found to match identically in radial distribution, suggestive that this radial region of the TW Hya disk supports a generally rich hydrocarbon chemistry, consistent with an elevated C/O ratio in this region.

The present paper uses multi-line observations of c-C$_3$H$_2$ to better spatially constrain the nature of the hydrocarbon layer in the TW Hya protoplanetary disk, with the goal of improving our interpretation of the C/O ratio(s) of this disk. The observations were conducted as part of the TW Hya as a Chemical Rosetta Stone Project (PI: Cleeves), and have been augmented with ALMA archival data. The set of lines covers energies spanning 29.1–96.5 K, and with the relatively highly critical density and range of opacities probed, these lines are well suited to constraining the nature, and crucially the location, of small hydrocarbon chemistry in TW Hya.

2. Observations

2.1. ALMA Observations

The observations of c-C$_3$H$_2$ utilized in the present study were carried out with ALMA as part of three different observational programs. We present new observations of c-C$_3$H$_2$ taken as part of the TW Hya as a Chemical Rosetta Stone Program (PI: Cleeves, 2016.1.00311.S), augmented by archival observations from 2013.1.00198.S (PI: Bergin) and 2013.1.00114.S (PI: Öberg). The complete set of c-C$_3$H$_2$ transitions from these programs used in our analysis are listed in Table 1. The observations from 2016.1.00311.S were carried out with 40 antennas on 2017 April 8 (C40-2; 15–390 m baselines) and May 21 (C40-5; 15–1124 m baselines). The April 8 observation used J1037-2934 for bandpass and phase calibration, and J1058+0133 for flux calibration. The May 21 observation used J1037-2934 for bandpass, flux, and phase calibration.

All data were calibrated with the ALMA pipeline with CASA version 4.7.0. Prior to imaging, we phase self-calibrated the data using the line-free portions of the continuum, adopting a solution interval of 30 s and averaging polarizations. In addition, spws were self-calibrated independently, and we set a minimum signal-to-noise ratio of 3 and a minimum number of baselines per antenna of 6. The calibration process for the observations from program 2013.1.00198.S and 2013.1.00114.S are reported in Bergin et al. (2016) and Öberg et al. (2017) and not repeated here.

The projects 2013.1.00198.S and 2016.1.00311.S had overlapping coverage of the bright 10–9 and 9–8 blends (see Table 1). The integrated line flux measured between these two programs differed by about 10% (well within the quoted ALMA flux uncertainty); however, we adjusted the flux of 2013.1.00198.S to match the flux measured in 2016.1.00311.S flux. As a result, 6 of the 7 lines have internally consistent fluxes, and therefore rms uncertainties reported here do not include flux calibration uncertainty, as that will either net increase/decrease measured flux but will not impact the spatially resolved shape of the line images.

2.2. Images and Radial Integrated Flux Profiles

The continuum was subtracted in the uv-plane using the CASA task uvcontsub assuming a linear fit to the continuum shape. Imaging was carried out using the tclean task in a
semi-automated fashion described here. The source velocity was assumed to be 2.84 km s\(^{-1}\). For each line, using all available data for a given transition, we begin by creating a dirty image to determine the standard deviation per beam in line-free channels and the beam size for each transition. From these data, we create a mask based on expectations from Keplerian motion using the code presented as part of Pegues et al. (2020), see also code reference jpegues (2020). We assume an inclination of 5\(^{\circ}\), a position angle of 152\(^{\circ}\), and a stellar mass of 0.8 \(M_\odot\) to create the Keplerian mask following Table 1:

| Line       | o or p | \(\nu\) (GHz) | \(A_{\text{R}}\) \(^{a}\) \((\text{s}^{-1})\) | \(E_u\) \(^{a}\) (K) | Channel Width \((\text{km s}^{-1})\) | rms\(^{b}\) (mJy beam\(^{-1}\)) | Int. flux\(^{c}\) (mJy km s\(^{-1}\)) | Program\(^{d}\) |
|------------|--------|----------------|---------------------------------|--------------------|---------------------------------|-----------------------------|------------------------------|-----------------|
| 4,1\(^{\oplus}\)–3,2,1 | o      | 227.16913      | 3.113E-04                        | 29.07              | 0.16                            | 3.2                         | 80 ± 5                      | 1               |
| 7,3\(^{\oplus}\)–6,4,3 | o      | 351.5227       | 1.237E-03                        | 77.24              | 0.21                            | 3.4                         | 237 ± 13                    | 2               |
| 8,1,6–7,2,5 | o      | 352.19364      | 1.734E-03                        | 86.93              | 0.21                            | 4.2                         | 220 ± 30                    | 3               |
| 5,8\(^{\oplus}\)–4,4,0 | p      | 338.20399      | 1.598E-03                        | 48.78              | 0.21                            | 5.3                         | 140 ± 16                    | 3               |
| 8,2,6–7,3,5 | p      | 352.18551      | 1.735E-03                        | 86.93              | 0.21                            | 4.3                         | 96 ± 15                     | 3               |
| 9,1,8–8,2,7 | o (bl) | 351.96593      | 2.117E-03                        | 93.34              | 0.21                            | 2.9                         | 398 ± 14                    | 2.3             |
| 9,2,8–8,1,7 | p (bl) | 351.96594      | 2.117E-03                        | 93.34              | 0.21                            | 2.9                         | 330 ± 15                    | 2.3             |
| 10,1,10–9,0,9 | o (bl) | 351.78157      | 2.439E-03                        | 96.50              | 0.21                            | 2.9                         | 330 ± 15                    | 2.3             |
| 10,0,10–9,1,9 | p (bl) | 351.78157      | 2.439E-03                        | 96.50              | 0.21                            | 2.9                         | 330 ± 15                    | 2.3             |

Notes.

\(^{a}\) Line catalog data from CDMS (Müller et al. 2005).

\(^{b}\) In a 0.5 beam, with the specified channel width.

\(^{c}\) Measured within a Keplerian mask (see Section 3, and Figure 8).

\(^{d}\) (1) 2013.1.00114.S, (2) 2016.1.00311.S, (3) 2013.1.00198.S.
Huang et al. (2018). We assume a distance of 59.5 pc (Gaia Collaboration et al. 2016). The mask is convolved with the respective beam for each data set (typically between 0.′2 and 0.′4). Because we want to have a consistent beam size across all the transitions, which we chose to be 0.′5, we calculate the uv-taper that is necessary to create a beam of just below 0.′5 on the major axis. We then clean each line with its respective mask in non-interactive mode down to a noise level of 3σ standard deviation, with the line specific uv-taper applied. Finally, we take the cleaned image from the CASA task imsmooth, which operates in the image plane, to create a final image with an exactly 0.′5 round beam. The result of this imaging process is shown in Figure 1. The corresponding channel maps for all transitions are also provided in Appendix A, Figure 8.

The ring-like nature of the emission is clear from the moment-0 maps, and the general faintness of the para transitions compared to the ortho transitions is also clear. We do not use these moment-0 maps for analysis; we show them here to illustrate the detection significance, and instead we apply the GOFISH package (Teague 2019) to improve the signal-to-noise ratio of the radial profile for each transition. GOFISH works in the image plane to spectrally align spectra at a given radius by taking into account the projected disk rotation, such that the spectra can be stacked, thereby creating a higher signal-to-noise ratio radial intensity profile. We assume the same disk parameters as for the Keplerian masking above to carry out the GOFISH deprojection. The deprojection is done on the cleaned image cubes produced with the method described above, and the output is a spectrum at each radius where the width of the emission is some combination of the thermal width and any non-thermal broadening or beam convolution broadening, since Keplerian motion has been accounted for. After shifting and stacking the azimuthal emission, we integrate over a conservative velocity range of 2.5–3.18 km s\(^{-1}\) and obtain the profiles shown in Figure 2. Note that even though the para transitions are faint in the moment-0 maps in Figure 1, the ring-like structure becomes clearer in the GOFISH extraction and the general faintness of the para transitions compared to the ortho transitions is also clear. We do not use these moment-0 maps for analysis; we show them here to illustrate the detection significance, and instead we apply the GOFISH package (Teague 2019) to improve the signal-to-noise ratio of the radial profile for each transition. GOFISH works in the image plane to spectrally align spectra at a given radius by taking into account the projected disk rotation, such that the spectra can be stacked, thereby creating a higher signal-to-noise ratio radial intensity profile. We assume the same disk parameters as for the Keplerian masking above to carry out the GOFISH deprojection. The deprojection is done on the cleaned image cubes produced with the method described above, and the output is a spectrum at each radius where the width of the emission is some combination of the thermal width and any non-thermal broadening or beam convolution broadening, since Keplerian motion has been accounted for. After shifting and stacking the azimuthal emission, we integrate over a conservative velocity range of 2.5–3.18 km s\(^{-1}\) and obtain the profiles shown in Figure 2. Note that even though the para transitions are faint in the moment-0 maps in Figure 1, the ring-like structure becomes clearer in the GOFISH extraction and the peak of the resolved profile is detected at \(\geq 3–4\sigma\).

### 3. Methods

From this multi-line data set of \(c\)-C\(_2\)H\(_2\) rotational transitions spanning upper state energies from 29.1 to 96.5 K, we aim to use excitation to constrain the location of the hydrocarbon layer in the TW Hya disk. To fit the data, we use a simple slab model method (see, e.g., Qi et al. 2008; Öberg et al. 2017) and employ a non-LTE line radiative transfer code based upon Ratran (Hogerheijde & van der Tak 2000, Astrophysics Source Code Library, record 0008.002) designed to handle blended transitions and be computationally efficient (https://github.com/ryanaloomis/nLTErt1d). The inputs to this code are height (\(z\)), gas volumetric density, dust density, gas temperature, dust temperature, non-thermal line width, and abundance relative to hydrogen of the molecule of interest.

We approximate the emission from TW Hya as a series of radial annular regions, where the physical conditions as a function of height at each radial location are taken from the Cleeves et al. (2015) model of TW Hya. The gas temperature, dust temperature, and gas density are taken from this model, where the total mass of this TW Hya disk model is 0.04 \(M_\odot\).

The “slab” \(c\)-C\(_2\)H\(_2\) distribution is bounded by an inner and outer radius, and a vertically computed upper and lower column density of H, \(N_H\). Note that for the ISM, \(N_H = 1.9 \times 10^{21}\) cm\(^{-2}\) = 1 \(A_V\). Since our model has 6.7 times fewer small grains in the surface of the disk due to the formation and subsequent settling of larger grains, 1 \(A_V\) occurs at \(N_H = 1.27 \times 10^{22}\) cm\(^{-2}\). The general reasoning for this vertical parameterization rather than a simple \(z/r\) cut is that we expect the \(c\)-C\(_2\)H\(_2\) distribution to be driven by the stellar radiation field, largely UV (Du et al. 2015; Bergin et al. 2016). The abundance is set to a constant value within this “slab,” where we vary the value of this constant. The underlying physical structure and the calculated \(N_H\) contours bounding the \(c\)-C\(_2\)H\(_2\) distribution are shown in Figure 3. As can be seen in the right-hand panel, the slabs closer to the disk surface are dominated by warmer temperatures, while deeper in (higher \(N_H\)) the gas temperatures decrease.

In addition to the four parameters described above, we also fit for the ortho-to-para ratio of \(c\)-C\(_2\)H\(_2\), where as can be seen in Table 1 our data set contains both spin isomers and two blended pairs of ortho and para transitions (the brightest lines). We adopt the collisional rate coefficients hosted on the Leiden LAMDA database (Schöier et al. 2005) originally computed in Chandra (2000) for ortho and para separately. For the blended transitions, the components of the blends had identical molecular parameters (e.g., Einstein A coefficients, near identical frequencies), and therefore we simulated emission for the blends by first estimating the level populations for each of the ortho and para components independently (while we did not impose it on the solution, the emission was seen to be largely in LTE). We then took a weighted average of the ortho

![Figure 2](image-url). Profiles extracted by the pixel stacking technique within the GoFish code (Teague 2019). Transitions are indicated in the legend. Shaded region indicates the error on the radial profile.
and para populations in the upper and lower states, respectively (the population fractions were the same for both spin isomers). This allowed us to simulate the blended \( c{-}\text{C}_3\text{H}_2 \) emission as that from a “single” molecule. We took this approach since for some of the models the blended transitions became optically thick, so we could not simply sum the line fluxes from the independent components without potentially overestimating the blended line flux.

To create the synthetic integrated radial intensity profile for each model, we reconstruct a 2D sky image of the velocity integrated line brightness and convolve the image with a Gaussian 0.5 beam. The use of the larger beam was primarily to be able to circularize and homogenize the beam for all lines in the sample and to improve the signal-to-noise per beam. We then extract the convolved radial brightness profile in annuli with the same spacing as the GOFISH intensity profile.

Goodness of fit is assessed based on a reduced \( \chi^2 \) between the beam-convolved model spectrally integrated intensity profile and the data. To estimate \( \chi^2 \), the flux in a given annulus for the data and model are measured per beam, and we sum the square of the difference divided by the observed rms uncertainty. The number of annuli supersamples the beam but is divided out by the reduced \( \chi^2 \). All lines are treated equally in our overall assessment of fit for a given set of slab model parameters, even though some lines are brighter than others.

We made this decision since the brighter lines are optically thick blended transitions, and the lower SNR profiles provide important constraints on our fit. Note, we only consider the rms uncertainty in this estimate and do not include flux calibration error since eight out of nine lines have self-consistent fluxes, such that flux uncertainty will globally shift all radial line profiles upwards or downwards rather than expanding the error bars uniformly. The only exception is the ortho \( c{-}\text{C}_3\text{H}_2 \) line \( 4_{3,2}-3_{2,1} \). We therefore have also examined our best-fit models from the profiles as extracted directly from GOFISH, and then with a 10% uniform increase and decrease on just the \( 4_{3,2}-3_{2,1} \) with the rest of the lines fixed. We do not find a change in the best-fit models, in part since we have two other ortho lines. Furthermore, the models that fit the rest of the data give reasonable fits to the native \( 4_{3,2}-3_{2,1} \) observations without flux scaling, and therefore we do not vary the flux for the remainder of the analysis described here.

Initially, we also varied the minimum column density of the layer, but since we did not see a significant change between changing the upper boundary from \( N_{\text{H}_2} = 1 \times 10^{19} \) cm\(^{-2} \) to \( 1 \times 10^{20} \) cm\(^{-2} \), we decided to fix the upper boundary for the full grid of simulations to the former value of \( 1 \times 10^{19} \) cm\(^{-2} \), which for the reduced dust atmosphere corresponds to an \( A_V \) of 0.0008, i.e., very high up in the atmosphere, where the \( \text{H}_2 \) gas density is also very tenuous (\( \sim 10^3 \) cm\(^{-3} \)). Thus very little \( c{-}\text{C}_3\text{H}_2 \) in this layer contributes to the emission. The full set of parameters and their values considered in the simulation grid are provided in Table 2. Essentially, each model varies the inner and outer extent, lower layer extent via the column density, the abundance within the layer, and the ortho-to-para ratio of \( c{-}\text{C}_3\text{H}_2 \). The range of values that was explored is based on a combination of previous modeling results (e.g., Bergin et al. 2016) along with making sure we explored a wide space around regions that gave better fits to assess degeneracies in the parameter space.

### 4. Results

#### 4.1. Fiducial Model Results

A comparison between all of the 7,150 models in our grid and all observed transitions is illustrated in Figure 4. Each point represents \( \chi^2_{\text{red.}} \) for all observed lines simultaneously. Due to the large dynamic range across the model grid, we have split each panel into a top and bottom panel where the top row has log scale \( \chi^2_{\text{red.}} \), and the bottom row shows the same data but with a linear scale for clarity. The best-fit models (those with the lowest \( \chi^2_{\text{red.}} \)) are those that appear on the bottom row.

![Figure 3](image)

**Figure 3.** Slab \( c{-}\text{C}_3\text{H}_2 \) model definitions. The vertical extent of \( c{-}\text{C}_3\text{H}_2 \) is described by the vertically integrated column density derived from the Cleeves et al. (2015) TW Hya model shown in gray shaded contours. The upper limit for all models is \( N_{\text{H}_2} = 10^{19} \) cm\(^{-2} \) (dashed line). The bottom of the \( c{-}\text{C}_3\text{H}_2 \) slab is described by the color line contours as labeled in the left panel. The inner and outer radius parameters truncate these boundaries vertically, and the abundance is assumed to be constant inside of the layer.

### Table 2

| Slab Model Parameters | Values | Unit |
|-----------------------|-------|------|
| Min \( \text{H}_2 \) Column | \( 10^{19} \) | cm\(^{-2} \) |
| Max \( \text{H}_2 \) Column (\( \times 10^{21} \)) | 1, 2.5, 5, 7.5, 10, 12.5, 18.75, 25, 50, 100, 187.5 | cm\(^{-2} \) |
| \( \chi(c{-}\text{C}_3\text{H}_2) (\times 10^{-11}) \) | 1, 1.875, 3.75, 5, 7.5, 10, 25, 50, 75, 100, 250, 500, 10 \(^3 \) | per H |
| OPR | 1, 3 | n/a |
| \( R_{\text{inner}} c{-}\text{C}_3\text{H}_2 \) | 20, 25, 30, 35, 40 | au |
| \( R_{\text{outer}} c{-}\text{C}_3\text{H}_2 \) | 80, 90, 100, 110, 120 | au |
| Total number of models | 7150 | |
From Figure 4, a few key features become clear, and are enumerated here:

1. The models that agree the best with the data have the outer edge of the c-C$_3$H$_2$ emission at >100 au.
2. None of the other parameters in our grid can be tuned to achieve a model with a good fit with an outer edge at <100 au.
3. An inner edge of 25 and 30 au tends to be a better fit for the c-C$_3$H$_2$ distribution. We note that this edge is close to the half-beam of the data ($0''25 = 15$ au), and so cannot constrain this any further from existing data. We also note that the c-C$_3$H$_2$ "empty" inner disk model is consistent with the non-zero flux near the star seen in our radial profile due to beam convolution effects. Finally, we note that both the value for the inner and outer edge only hold if a slab model is an adequate representation of the data, and certainly more complex structural representations could be explored with higher SNR data.
4. The flatness of the $\chi^2_{\text{reduced}}$ for the best models suggests some degeneracy between the maximum column density, i.e., the depth of the layer, and the abundance of c-C$_3$H$_2$ in the layer, which is to be expected especially if the emission is thermalized.
5. While the observations suggest the c-C$_3$H$_2$ originates in a region of sufficiently high gas density to be thermalized, we can further constrain the vertical location of the c-C$_3$H$_2$ layer by taking advantage of the wide span of upper state energies in our data set. We can rule out c-C$_3$H$_2$ emitting from the upper surface (i.e., $N_{\text{HI}} < 10^{21}$ cm$^{-2}$) or from the midplane, below $N_{\text{HI}} > 10^{23}$ cm$^{-2}$. These column densities translate to $A_V < 0.05$ and $A_V > 5$, respectively, due to the dust-poor gas in the disk surface.

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3. An inner edge of 25 and 30 au tends to be a better fit for the c-C$_3$H$_2$ distribution. We note that this edge is close to the half-beam of the data ($0''25 = 15$ au), and so cannot constrain this any further from existing data. We also note that the c-C$_3$H$_2$ "empty" inner disk model is consistent with the non-zero flux near the star seen in our radial profile due to beam convolution effects. Finally, we note that both the value for the inner and outer edge only hold if a slab model is an adequate representation of the data, and certainly more complex structural representations could be explored with higher SNR data.
4. The flatness of the $\chi^2_{\text{reduced}}$ for the best models suggests some degeneracy between the maximum column density, i.e., the depth of the layer, and the abundance of c-C$_3$H$_2$ in the layer, which is to be expected especially if the emission is thermalized.
and the abundance per H of \( c-C_3H_2 \), it is clear that models with \( N_{\text{max}} \) of \((1-3) \times 10^{22} \) cm\(^{-2}\) are favored by most. The abundance of \( c-C_3H_2 \) in the slab is between \((3-30) \times 10^{-11} \) per H atom. To test how much of the spread is due to the degeneracy between the thickness of the layer and the abundance, we also show in Figure 5 a histogram of the product of \( \chi_{c-C_3H_2} \) and \( N_{\text{max}} \) and find that this distribution is much tighter, and corresponds to an approximate column density of \( c-C_3H_2 \) in the slab of \((1-3) \times 10^{12} \) cm\(^{-2}\).

The 30 best-fit models are shown in Figure 6 in dark gray, and we have additionally highlighted the four best-fit models in color and provided their physical parameters in the key. Note all 30 models have an ortho-to-para ratio of 3, so that parameter is not listed in the figure. The best-fit models have similar characteristics, and abundance of \((7.5-10) \times 10^{-11} \) per H atom, and extend down to an H\(_2\) column density of approximately \( 2 \pm 0.5 \times 10^{22} \) cm\(^{-2}\). This depth corresponds to a vertically integrated \( A_V \) of about 1 due to the reduced small dust mass in the disk upper layers in the Cleeves et al. (2015) TW Hya model.

5. Discussion

We have carried out a resolved, multi-line study of hydrocarbon emission in the TW Hya disk as traced by \( c-C_3H_2 \). The observations span a wide range of upper state energy from 29 K to 96.5 K, and both ortho and para forms of \( c-C_3H_2 \). Hydrocarbons like \( c-C_3H_2 \) and the more widely studied C\(_2\)H have been suggested to be good tracers of C/O ratios in disks, which is a parameter that we are now beginning to measure in the atmospheres of gas-rich exoplanets, which should be strongly influenced by (if not set by) the gas in their parent disk (e.g., Öberg et al. 2011; Öberg & Bergin 2016, and more). Therefore, it is crucial to understand the nature of the gas that these species trace, and specifically where in the disk they are located to understand how closely it links to what forming planets might accrete.

The present study augments previous studies of the chemically related species, C\(_2\)H, also observed toward the TW Hya disk (Kastner et al. 2015; Bergin et al. 2016). We confirm the earlier finding of Bergin et al. (2016) that the radial extent of \( c-C_3H_2 \) (qualitatively determined by stacking) appears very similar to the brighter C\(_2\)H emission. If we assume C\(_2\)H and \( c-C_3H_2 \) originate from a similar layer, e.g., in \( z/r \) space or column density space, the present study provides further context on the vertical distribution of the hydrocarbon layer in TW Hya, and what that means for eventually using this species to measure C/O in this disk (see, e.g., Cleeves et al. 2018). In the following sections we discuss our main findings.

5.1. \( c-C_3H_2 \) is Located in and Above the Warm Molecular Layer in a Ring

We find that all models that provide reasonable fits to the full data set do not extend much further below an H\(_2\) column density of a few \( \times 10^{22} \) cm\(^{-2}\). Given that the small dust mass in this model is only 15% of the interstellar value, this layer corresponds to a maximum \( A_V \) of 1–2. We do not have strong constraints on the upper extent of the layer, and where additional observations for lines with higher upper state energies (and smaller Einstein A coefficients) would be helpful. While this lower boundary does not directly correspond to a normalized height value of \( z/r \) due to the nature of the assumed density profile (a power-law with an exponential taper), we can say that within the radial boundaries of the emission, the \( c-C_3H_2 \) arises above a \( z/r \) value of approximately 0.25 based upon Figure 3, and no higher than 0.4. This range is
consistent with the location of C$_2$H in this source as modeled in Bergin et al. (2016).

We also constrain the radial distribution of the c–C$_2$H$_2$ layer. The inner edge of the c–C$_2$H$_2$ distribution (25–30 au) is consistent with the CO snow line (Qi et al. 2013b; Zhang et al. 2017) and/or the dip in CO emission (Huang et al. 2018) and scattered light (Debes et al. 2013; van Boekel et al. 2016). The inner deficit of c–C$_2$H$_2$ might be signaling a large chemical shift, perhaps a large reduction of C/O at this radius. Models have predicted an enhancement of CO interior to the CO snow line due to dust evolutionary processes (Krijt et al. 2018); however, CO adds equal parts C and O and will not tend to reduce C/O especially if it is somewhat elevated (above solar, 0.54) but still below 1 already. An alternative explanation is that the same process that sequestered water ice into larger grains has begun in a delayed way on the carbon-bearing molecules (e.g., Cleeves et al. 2018). This process would be fastest in the inner disk and would move outward, which might explain why different disks have a wide variety of C/H ring patterns (e.g., Bergin et al. 2016). Seeing whether these rings have a predictable time evolution for a statistically significant sample of disks would help elucidate the cause (see also discussion in Bergner et al. 2019). It would likewise be interesting to compare with other species that also show inner chemical deficits, like CN (Cazzoletti et al. 2018).

The outer edge of c–C$_2$H$_2$ is located at 110–120 au. It is not clear why this radius is remarkable, besides that it corresponds also to the edge of C$_2$H (Bergin et al. 2016). The millimeter pebble disk extends to approximately 60 au; however, there is a flatter weakly emitting “shoulder” in the ALMA observed 852 micron flux out to around 100 au (Andrews et al. 2012, 2016; van Boekel et al. 2016; Huang et al. 2018). The CO disk extends out beyond 200 au (Andrews et al. 2012; Schwarz et al. 2016; Huang et al. 2018), though there is a sharp drop in $^{13}$CO at around 100 au (Zhang et al. 2017). While the scattered light extends out to 200 au like the CO gas disk, it has some potentially interesting features around 100 au. For example, there is a brightness peak in the observed NIR scattered light at about 100 au (van Boekel et al. 2016). Debes et al. (2013) attributes this change at 100 au to be potentially related to sculpting by a Neptune-mass planet. In addition, there appears to be a shift in the “color” of the scattering at 100 au, where it has a neutral interior up to 100 au and becomes more blue outside of 100 au (Debes et al. 2013; van Boekel et al. 2016). Therefore, this location seems to be an important transition; however, its nature remains unclear. Perhaps it marks a significant change in gas density (i.e., H$_2$) or alternatively a chemical change where the disk becomes so tenuous that the external UV field becomes too harsh and densities too low to support chemistry more advanced than CO.

### 5.2. The Rotational Emission of c–C$_3$H$_2$ Appears to be Thermalized

We find that our best-fit models have some spread in $N_{\text{max}}$ and $\chi_{c-C_3H_2}$, that would be expected given that we are more fundamentally tracing a column density of c–C$_2$H$_2$ with our observations, especially due to the face-on nature of this disk. Within these models, most of the emission is coming from the bottom of the layer, and the emission appears well represented by LTE (see also Teague et al. 2018, for a non-LTE analysis of CS). To provide context, some models with the same c–C$_2$H$_2$ column density placed very high up in the disk, well above $A_V = 1$ with a very high c–C$_3$H$_2$ abundance and a low value of $N_{\text{max}}$ do not provide good fits to the observations. These models are also no longer thermalized. We conclude that the c–C$_2$H$_2$ appears to be reasonably well approximated by LTE. The critical density for the transitions observed is typically around 10$^8$ cm$^{-3}$, and our results suggest there remains a substantial amount of H$_2$ gas, $>10^6$ cm$^{-3}$, at high ($z/r > 0.25$) altitudes and moderately far out radii (25–110 au), consistent with disk mass estimates provided by HD for this source (Bergin et al. 2013; Favre et al. 2013; Cleeves et al. 2015; Trapman et al. 2019; Calahan et al. 2021). How this relatively old disk maintains such a large amount of gas, however, is still unclear.

### 5.3. The Abundance of c–C$_3$H$_2$ Relative to C$_2$H is Consistent with Gas-phase Chemical Models

Bergin et al. (2016) modeled the related species C$_3$H in TW Hya using full thermo-chemical models. Consistent with the results of Du et al. (2015), in this work it appeared clear that to reproduce the observed brightness of C$_2$H the carbon relative to oxygen ratio of the gas must be very high, greater than the solar ratio of 0.54. To obtain a high C/O ratio, either there must be a source of carbon enhancement, such as carbon grain or PAH destruction (Anderson et al. 2017), and/or a deficit of oxygen, possibly due to grain growth and settling (Hogerheijde et al. 2011; Salinas et al. 2016; Cleeves et al. 2018). The same will be true for c–C$_3$H$_2$. Taking our best-fit model abundances of c–C$_2$H$_2$ and comparing it to the results of Bergin et al. (2016) for C$_2$H in TW Hya, we find c–C$_3$H$_2$’s abundance is $\sim$3%–30% that of C$_2$H. If instead we use the column density, for Bergin et al. (2016)’s C/O = 1 model, the c–C$_3$H$_2$ to C$_2$H ratio is approximately 10%. While detailed chemical modeling is beyond the scope of the present paper, we can compare this percentage to a published model of a different disk, IM Lup, where C/O was also varied (Cleeves et al. 2018) purely by removal of volatile oxygen (via water sequestration into large grains, presumably settled into the midplane as well as O-removal from CO for the more extreme C/O ratios). In the $z/r$ layer of 0.25–0.5, that model finds a c–C$_3$H$_2$ to C$_2$H percentage of 1%–10%, broadly consistent with our findings here, without the need for additional carbon sources. In comparing these percentages with other star-forming environments, we see that this ratio of c–C$_3$H$_2$ to C$_2$H is also broadly consistent with what is observed in PDRs (e.g., $\sim$3% toward the Orion Bar Cuadrado et al. 2015).

While the chemistry is consistent with gas phase routes, we cannot formally rule out carbon grain/PAH destruction as a source of additional carbon enhancement (e.g., Kastner et al. 2015; Bergin et al. 2016; Anderson et al. 2017; Bosman et al. 2021). We also note that the abundance ratio is consistent with a scenario of a “dry”—i.e., H$_2$O ice/gas poor—surface of the TW Hya disk, which also agrees with the Herschel results for the disk’s cold water vapor abundance Hogerheijde et al. (2011) and scattered light constraints (e.g., Weinberger et al. 2002; Debes et al. 2013).

### 5.4. The Ortho-para Ratio of c–C$_2$H$_2$ is Consistent with a Constant Value of 3

Via the non-LTE fitting we find that the ortho-para ratio across the slab can be well reproduced with a single value of 3; however, we only consider values of 1 or 3 in our grid. To confirm this result, we have done an additional disk-averaged rotational diagram analysis using the unblended ortho and para
transitions, which are also optically thin based on our model comparisons. Figure 7 shows the results of the fitting; we find that the ortho and para lines have consistent rotational temperatures, and the derived ortho-to-para ratio from the column densities is 3.02 ± 0.78.

So where does this ortho-to-para ratio come from? Both ortho and para forms of $c$-C$_3$H$_2$ mainly form via gas phase reactions (e.g., Vrtilék et al. 1987; Park et al. 2006), in particular via C$_3$H$_3^+$ reacting with H$_2$ via radiative association. Morisawa et al. (2006) demonstrate that the ortho-to-para ratio of $c$-C$_3$H$_2$ in steady state can be approximated by:

$$\left[\frac{o}{p}\right]_{C_3H_2} = \frac{(5 + 3\phi) \times [o/p]_{H_2} + 3\phi + 3}{(1 + \phi) \times [o/p]_{H_2} + \phi + 3},$$

(1)

where $\phi$ essentially reflects the ratio of the rate of formation of $c$-C$_3$H$_2$ by electron dissociative recombination of C$_3$H$_3^+$ compared to reactions of C$_3$H$_3^+$ with atoms (however, see also the discussion in Park et al. 2006, for additional effects). The parameter $\phi$ is equal to $k_{DR}[n_e]/k_{ion-Y}[n_Y]$, where $k_{DR}$ is the rate of dissociative recombination, $n_e$ is the number density of electrons, $k_{ion-Y}$ is the reaction rate of C$_3$H$_3^+$ with species Y and $[n_Y]$ is the number density of said species. If the ortho-to-para ratio of H$_2$ goes to 3, the dependence on $\phi$ drops out of Equation (1). If the ortho-to-para ratio of H$_2$ is small due to a cold formation mechanism of H$_2$, then the ortho-to-para ratio of $c$-C$_3$H$_2$ depends on $\phi$, going to 1 if $\phi$ is small and 3 if $\phi$ is large. Therefore, if this equation holds, obtaining the observed ortho-to-para ratio of 3 in $c$-C$_3$H$_2$ means either H$_2$ has an ortho-to-para of 3, or $\phi$ is large.

We can estimate what $\phi$ regime $c$-C$_3$H$_2$ may be in using the Cleeves et al. (2018) model of a solar nebula-like disk. Taking approximate values from a location of $r = 50$ au and $z/r$ of 0.3 au, the electron density is approximately $10^{-6}$ cm$^{-3}$, and is largely governed by photoionization of atomic carbon. The recombination rate with electrons is approximately $10^{-6}$ cm$^3$ s$^{-1}$ at 50 K (Loison et al. 2017). For the denominator, if we take reactions with C as representative, the rate is $\sim 10^{-9}$ cm$^3$ s$^{-1}$, and the abundance is also $10^{-6}$ per H. Therefore, $\phi$ comes down to the ratio of the rate coefficients, which is $\gg 1$. Therefore, it is not clear whether our measured $c$-C$_3$H$_2$ ortho-to-para ratio is shedding light on the ortho-to-para ratio of H$_2$ or if it is related to the relative rate of dissociative recombination.

## 5.5. C/O Implications for Forming Planets

While there are exciting prospects to use hydrocarbons to constrain C/O ratios in disks to connect with planets, we must understand what region our observations fundamentally probe. Our results find that the $c$-C$_3$H$_2$ emission largely comes from the UV irradiated layer, above an $N_V$ of 1 ($z/r > 0.25$). While this implies we are not directly tracing the midplane regions where planets gain most of their gas mass, it is still informative in the quest to understand what compositions planets might accrete. The bright hydrocarbon emission has been attributed to high gas-phase C/O ratios, much greater than solar (Du et al. 2015; Bergin et al. 2016; Kama et al. 2016; Miolo et al. 2019). Either the molecular layer has a carbon enhancement (perhaps due to carbon grain destruction) or an oxygen deficit, or both. The simplest explanation for an oxygen deficit is the growth of water-ice rich grains leading to the formation of larger, midplane bound pebbles or even larger bodies as suggested by Hogerheijde et al. (2011) and consistent with models of Krijt et al. (2016). A midplane ice enrichment might facilitate enhanced planet formation via an increase in solid mass, and a larger reservoir of water ice from which planets could accrete, perhaps a good scenario for forming habitable planets.

Recently, in the HD 163296 disk, Teague et al. (2019) discovered a velocity pattern in CO gas emission consistent with in-fall from the surface toward annular disk gaps. These results imply the surface gas in the disk is feeding potential planet forming regions, and that with our observations we could be tracing the same gas reservoir that might feed protogiant planets’ atmospheres (see also Cridland et al. 2020). Specifically in TW Hya, Teague et al. (2019) found evidence of vertical motion around 90 au, near the van Boekel et al. (2016) scattered light gap. If such motions are common, this would be exciting as the layer traced by $c$-C$_3$H$_2$ would be more directly related to the chemistry that sets planets’ atmospheric compositions.

Along these lines, the 20 Myr old HR 8799 system’s four outer planets have been independently chemically characterized using VLT SPHERE, and their C/O ratios radially varies (Bonnfey et al. 2016; Lavie et al. 2017). The inner two planets ($d$ at 24 au and $e$ at 15 au; Marois et al. 2008, 2010) have low C/O ratios—consistent with zero due to low C/H, while the outer two planets ($b$ at 38 au and $c$ at 68 au) have far larger C/O ratios of 0.8–0.9 (Lavie et al. 2017). More recently, Mollière et al. (2020) reevaluated the atmospheric C/O ratios for planet $e$ and found a C/O value of 0.6, so less extreme of a jump than previously estimated. These results emphasize the need for careful treatment of non-equilibrium atmospheric effects and care in interpreting individual C/O estimates.

Interestingly, HR 8799’s tentative radial increase from subsolar/solar up to supersolar values in C/O is spatially consistent with TW Hya’s increase in hydrocarbon emission. In fact, the radial separation of the inner planets falls interior to the start of TW Hya’s hydrocarbon ring, while the outer planets’ orbits are within the radial bounds of the hydrocarbon ring. Of course there are many differences between TW Hya and the HR 8799 system, including that HR 8799’s host star has a mass of 1.5 $M_\odot$ compared to TW Hya’s 0.8 $M_\odot$, so such a connection is purely speculative. However, an interesting feature worth pointing out is that the younger disk IM Lup does not show the same large inner ring in hydrocarbons (Cleeves et al. 2018), and instead has a more centrally peaked/flattened.
distribution. Rings do appear to be common among intermediate aged disks (Bergin et al. 2016; Bergner et al. 2019), including some of the $\gtrsim$1 Myr disks in Lupus (Miotello et al. 2019). For example the 3–10 Myr (Bertout et al. 2007) DM Tau disk also shows a combination of an inner hydrocarbon enhancement and a secondary outer ring (Bergin et al. 2016). If this qualitative observation is a truly common feature, perhaps the varied atmospheric C/O in HR 8799’s planets indicate the system formed “chemically later” in a disk more like TW Hya than early like IM Lup. Additional observations of hydrocarbon morphologies coupled with modeling that brings together chemistry and gas-giant formation simulations are necessary to fully test this hypothesis.

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