Dynamical masses of the low-mass stellar binary AB Doradus B

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ABSTRACT

Context. AB Doradus is the main system of the AB Doradus moving group. It is a quadruple system formed by two widely separated binaries of pre-main-sequence (PMS) stars: AB Dor A/C and AB Dor Ba/Bb. The pair AB Dor A/C has been extensively studied and its dynamical masses have been determined with high precision, thus making of AB Dor C a benchmark for calibrating PMS stellar models. If the orbit and dynamical masses of the pair AB Dor Ba/Bb can be determined, they could not only play a similar role to that of AB Dor C in calibrating PMS models, but would also help to better understand the dynamics of the whole AB Doradus system.

Aims. We aim to determine the individual masses of the pair AB Dor Ba/Bb using VLBI observations and archive infrared data, as part of a larger program directed to monitor binary systems in the AB Doradus moving group.

Methods. We observed the system AB Dor B between 2007 and 2013 with the Australian Long Baseline Array (LBA), at a frequency of 8.4 GHz in phase-reference mode.

Results. We detected, for the first time, compact radio emission from both stars in the binary, AB Dor Ba and AB Dor Bb. This result allowed us to determine the orbital parameters of both the relative and absolute orbits and, consequently, their individual dynamical masses: 0.28±0.05 M⊙ and 0.25±0.05 M⊙, respectively.

Conclusions. Comparisons of the dynamical masses with the prediction of PMS evolutionary models show that the models underpredict the dynamical masses of the binary components Ba and Bb by 10–30% and 10–40%, respectively, although they all still agree at the 2-σ level. Some of stellar models considered favour an age between 50 and 100 Myr for this system, meanwhile others predict older ages. We also discuss the evolutionary status of AB Dor Ba/Bb in terms of an earlier double-double star scenario that might explain the strong radio emission detected in both components.

Key words. stars: individual: AB Dor B – binary stars – radio emission

1. Introduction

Stellar evolution models are used to predict fundamental parameters of the stars, such as their mass. The estimates from mass-luminosity theoretical relationships are not in concordance for the particular case of pre-main-sequence (PMS) stars with masses < 1.2 M⊙. Either more accurate observations or revised models are needed. As reported in Azulay et al. (2014), a VLA/VLBI program to detect binary stars with substantial emission at radio wavelengths is underway. This program is focused on stars members of the AB Doradus moving group, AB Dor-MG (Zuckerman et al. 2004), which includes the already studied pairs AB Dor A/C (Guirado et al. 2006, G06) and HD 160934 A/C (Azulay et al. 2014).

Located at a distance of ~15 pc (G06), the stellar system AB Doradus has a pair of binaries separated by ~9″, AB Dor A and AB Dor B. The K1 star AB Dor A, the main star of the system, is an active star with detectable emission at all wavelengths. In particular, it has strong radio emission (Guirado et al. 1997) generated by a dynamo effect caused by its rapid rotation (0.514 days). This star has a low-mass companion, AB Dor C (0.090 M⊙), whose study is important to calibrate the stellar evolution models of young low-mass stars (Close et al. 2005).

The other binary of the AB Doradus system is AB Dor B (=Rossiter 137 B), consisting of two components, AB Dor Ba and AB Dor Bb, with spectral types M5 and M5-6 (Close et al. 2007), respectively. These components are separated by an angular distance of ~0.06″ (G06; Janson et al. 2007). The combined system shows a high rotation rate with a period of 0.38 days (Lim 1993; Wolter et al. 2014) and displays strong radio emission detected both by the Australian Telescope Compact Array (ATCA; Lim 1993; Wolter et al. 2014) and the Australian VLBI Network (G06; this paper). Close et al. 2007 and Wolter et al. (2014) report information on the relative orbit from NIR VLT observations.
observations at H and K bands. The latter authors estimated a value of the sum of the masses of the components Ba and Bb of $0.69^{+0.02}_{-0.03} \, M_\odot$, somewhat larger than the model-dependent estimates from Janson et al. (2007) (0.13–0.20 and 0.11–0.18 $M_\odot$ for Ba and Bb, respectively).

An important point of debate is the age of the AB Doradus system, which is not determined with sufficient accuracy and presents different estimates in different publications: from 40-50 Myr (Zuckerman et al. 2004; Lpez-Santiago et al. 2006; Guirado et al. 2011) to 50-100 Myr (Nielsen et al. 2005; Janson et al. 2007; Boccaletti et al. 2008) and 100-140 Myr (Luhman et al. 2005; Ortega et al. 2007; Barenfeld et al. 2013). The determination of the age of the AB Doradus system is fundamental to calibrate the evolution models of PMS stars.

In this paper, we report the results of three epochs of VLBI observations of AB Dor B, leading to the discovery of radio emission from both components, the determination of the dynamical masses for the individual components, and their comparisons with theoretical models. We also discuss a possible evolutionary scenario for AB Dor Ba and AB Dor Bb in terms of an earlier quadruple system that evolved to its present state via Kozai cycling and tidal friction (Mazeh & Shaham 1979; Fabrycky & Tremaine 2007).

### 2. Observations and data reduction

We have carried out three epochs of observations with the Long Baseline Array (LBA), the Australian VLBI Network, between 2007 and 2013 (see Table 1). Each observation lasted 12 hours at the frequency of 8.4 GHz. Both RCP and LCP polarizations were recorded with a rate of 1024 Mbps (2 polarizations, 8 subbands per polarization, 16 MHz per subband, 2 bits per sample), except at Hobart and Ceduna, with a recording rate of 512 Mbps (2 polarizations, 4 subbands per polarization, 8 MHz per subband, 2 bits per sample). We used the phase-reference technique, interleaving scans of the ICRF source BL Lac PKS 0516−621, known to be a variable source (Sadler et al. 2006; Murphy et al. 2010), we used the 8.4 GHz flux density values obtained from ATCA measurements of this calibrator taken at the same time as our LBA observations (0.85, 1.40, and 1.50 Jy for epochs 2007.863, 2010.816 and 2013.625, respectively). We iterated amplitude and phase self-calibrations with deconvolutions using the clean algorithm to finally obtain the uniformly-weighted maps of PKS 0516−621 (see Fig. 1). For each epoch, this iterative procedure allowed us to determine both the amplitude scaling corrections and self-calibrated phase for each telescope. Back to AIPS program, these corrections were then interpolated and applied to the AB Dor B data. The phase-referenced naturally-weighted images of AB Dor B are shown in Fig. 2. We emphasize that in this phase-reference mapping process the positional information of AB Dor B with respect to the external quasar is conserved, thus relating the position of AB Dor B to the ICRF.

### 3. Results

#### 3.1. Maps of AB Dor Ba/Bb

At each of the three observing epochs, two sources are clearly distinguishable in Fig. 2. We identify both spots with the components Ba and Bb previously seen in NIR images (Janson et al. 2007). We determined the flux and position of both components from a circular Gaussian least-squares fit (see Table 2). Both components appear unresolved for all the three epochs. These are the first VLBI images of AB Dor B, where we confirm that both components are compact and strong radio emitters. Previous studies (Lim 1993; Wolter et al. 2014) already found the system to have an intense radio emission with rapid rotation rate (0.38...
days) and strong magnetic activity, as shown by the high X-ray luminosity, close to saturation limit for active late-type stars. Our radio maps show that each component Ba and Bb should retain a high rotation rate to maintain such an intense activity. Actually, the AB Dor B IR spectral analysis reported in Wolter et al. (2014) is compatible with two rapid rotators (although a model based on a single high-rotation star is not excluded). Using the fluxes and sizes of Table 2, we derived a mean radio luminosity for Ba and Bb of \( L_R = 2.7 \times 10^{14} \text{erg Hz}^{-1} \text{s}^{-1} \), similar to other radio stars members of the AB Dor-MG, indicating that gyro-synchrotron emission originated at the stellar corona is the responsible mechanism for the radio emission.

For a proper astrometric analysis, we still need to identify the components Ba and Bb, as labeled by Janson et al. (2007) in their NIR images, in each of our images of AB Dor B. These authors selected component Ba to be the brightest one; however, the flux density of both stars is very variable at radio wavelengths (see Table 2), making an identification under the same criteria difficult. To break this ambiguity, and based on the similar relative position of components Ba and Bb in both the NIR and radio images, we selected the easternmost component of the radio maps to be Ba. This choice was confirmed to be correct after the analysis of the orbital motion (see Sect. 3.2). It must be emphasized that the appropriate registration of Ba and Bb through the three epochs is guaranteed by the use of the quasar PKS 0516–621 as an external astrometric reference.

### 3.2. Orbit determination of AB Dor Ba/Bb

To estimate the orbital elements of AB Dor Ba/Bb, we used the positions of AB Dor Ba/Bb resulting from the astrometric analysis of our three LBA observations, both the relative positions (as measured directly on the maps shown in Fig. 2) and the absolute ones (in turn referenced to the position of the quasar PKS 0516–621). We included the NIR relative positions available in the literature (Wolter et al. 2014, and references therein) in our fit. We complemented our data sets with the absolute positions reported in G06 and re-interpreted here. These authors made a first attempt to estimate the orbital elements with LBA epochs ranging from 1992 to 1996, but their least-squares analysis did not converge to any plausible solution. A possible reason for this non-convergence could be the misidentification of the – only – component detected, wrongly associated with AB Dor Ba at all epochs. Preliminary fits of the G06 positions along with the new ones presented in this paper show that only the positions at epochs 1992.685 (corresponding to Bb) and 1993.123 (corresponding to Ba) are compatible with the new LBA data. Accordingly, only those positions are included in our fit. The rest of the positions of AB Dor Ba/Bb in G06 are therefore not included in our analysis. Table 3 summarizes all the positions used in this work.

To find the astrometric and Keplerian parameters of the AB Dor B system, we selected a non-redundant data set from the positions shown in Table 3. In practice, we combined, in our fit, the absolute positions of AB Dor Bb and all relative positions of AB Dor Bb to AB Dor Ba. The reason for this choice is that the absolute orbit of AB Dor Bb and the relative orbit constructed using AB Dor Ba as reference (Bb–Ba) are identical, except for their semimajor axes, which are related by the mass ratio. An equivalently valid choice would have been a combination of absolute data of Ba and relative data constructed as Ba–Bb. We notice that other combinations of absolute and relative data would have produced an extra difference of \( \pi \) radians in the longitude of the periastron (\( \omega \)) between the absolute and relative orbits, which would have complicated our orbit analysis (see below). We used a least-square fit approach similar to that described in G06, but slightly improved to deal with relative data, that we outline here.

We define the absolute position of AB Dor Bb (\( \alpha_{Bb}, \delta_{Bb} \)) at epoch \( t \) through the expressions:

\[
\begin{align*}
\alpha_{Bb}(t) &= \alpha(t_0) + \mu_{\alpha}(t-t_0) + \frac{Q_{\alpha}(t-t_0)^2}{2} + \pi P_{\alpha} + S_{\alpha}(t, A, B, F, G, P, e, T_0), \\
\delta_{Bb}(t) &= \delta(t_0) + \mu_{\delta}(t-t_0) + \frac{Q_{\delta}(t-t_0)^2}{2} + \pi P_{\delta} + S_{\delta}(t, A, B, F, G, P, e, T_0),
\end{align*}
\]

where \( t_0 \) is the reference epoch, \( \mu_{\alpha} \) and \( \mu_{\delta} \) are the proper motions in each coordinate, \( Q_{\alpha} \) and \( Q_{\delta} \) are the secular perspective accelerations in each coordinate (i.e., time variation of the proper motions), \( \pi \) is the parallax, \( P_{\alpha} \) and \( P_{\delta} \) are the parallax factors (Green 1985), and \( S_{\alpha} \) and \( S_{\delta} \) are the absolute orbital motions of AB Dor Bb in \( \alpha \) and \( \delta \), respectively. The acceleration terms are intended to model the long-term expected curvature of the sky trajectory of AB Dor B due to the gravitational pull of AB Dor A 9\" away (see G06). We have used the Thieles-Innes elements...
The eccentricity of the L-M algorithm is much improved if good a priori values are used for the orbital elements. In our particular case, the exploration of the relative orbit data yields a reasonable initial value for the period: as seen in Table 3, the two NIR positions are similar, indicating that the time difference between both epochs, nearly one year, could be a promising initial value for the period. In addition, the separation and the position angle in the two first LBA epochs (2007.863 and 2010.816) are almost coincident, with a difference of less than two milliarcseconds. This strongly suggests that the time difference between the two LBA epochs (2.95 years) should be approximately an integer number of the true orbital period. If we assume that three complete orbits have elapsed between the two epochs, the orbital period would be 0.98 yr, coincident with the estimate made from the relative infrared data. Actually, the use of an a priori value for the period of 1 yr did facilitate the convergence of the L-M algorithm. Of course the previous argumentation is also valid for shorter periods as long as \( P \sim 1/n \) yr, with \( n \) being an integer number; however, no convergence is found in our fit for periods with \( n \geq 2 \).

The set of orbital parameters that produces a minimum in the \( \chi^2 (1.2) \) is shown in Table 3. Plots of the relative and absolute orbits are shown in Figs. 3 and 4, respectively. These parameters coincide with those of Wolter et al. (2014) to within their standard deviations (except for \( \Omega \), with a difference of \( \sim \pi/2 \), which may reflect a quadrant ambiguity). The sum of the masses of the system can be calculated from \( a_{\text{rel}} \) and the period \( P \) using the Kepler’s Third Law \( (m_{\text{Ba}} + m_{\text{Bb}}) = a_{\text{rel}}^3/P^2 \), which resulted to be 0.53\pm0.05 M\(_{\odot} \), somewhat lower, but within uncertainties, than Wolter et al. (2014) estimate of 0.69\pm0.02 M\(_{\odot} \). More importantly, since our data also provide the semimajor axis of the absolute orbit of AB Dor Bb, \( a_{\text{Bb}} \), we can also calculate the mass of the component Ba, \( m_{\text{Ba}} \), using the Kepler’s third law in the form \( m_{\text{Ba}}^2/(m_{\text{Ba}} + m_{\text{Bb}})^2 = a_{\text{Bb}}^3/P^2 \). This yields a value of \( m_{\text{Bb}} = 0.28\pm0.05 \) M\(_{\odot} \), with the uncertainty calculated from propagation of the standard deviations of the semi major axis \( a_{\text{Bb}} \), the period \( P \), and \( m_{\text{Ba}} + m_{\text{Bb}} \). Since we have also absolute data of AB Dor Ba, we can estimate, independently of the previous fit, a value of \( m_{\text{Ba}} \) (i.e., not just the difference between mass sum and \( m_{\text{Bb}} \)). To do this, we repeated the fit described throughout this section but using the absolute positions of AB Dor Ba and the relative positions constructed as Ba-Bb. As explained above, this is equivalent to the fit to the previous one, except that it provides (absolute and relative data sets have been chosen appropriately, as explained above). Accordingly, the true Thiele-Innes constants of the relative orbit can be written as \((qA, qB, qC, qG)\), so that \( q \) remains as the only additional free parameter in our fit, when adding the relative orbit data. Given the definition of both data types, the \( \chi^2 \) to be minimized is the following:

\[
\chi^2 = \sum_{i=1}^{N} \frac{(\alpha_{\text{Bs}}(t_i) - \hat{\alpha}_{\text{Bs}}(t_i))^2}{\sigma_{\alpha_{\text{Bs}}}(t_i)^2} + \sum_{i=1}^{M} \frac{(\delta_{\text{Bs}}(t_i) - \hat{\delta}_{\text{Bs}}(t_i))^2}{\sigma_{\delta_{\text{Bs}}}(t_i)^2} + \sum_{i=1}^{M} \frac{(\Delta\alpha_{\text{rel}}(t'_i) - \Delta\hat{\alpha}_{\text{rel}}(t'_i))^2}{\sigma_{\Delta\alpha_{\text{rel}}}(t'_i)^2} + \sum_{i=1}^{M} \frac{(\Delta\delta_{\text{rel}}(t'_i) - \Delta\hat{\delta}_{\text{rel}}(t'_i))^2}{\sigma_{\Delta\delta_{\text{rel}}}(t'_i)^2},
\]

where \( N \) is the number of absolute positions, \( M \) the number of relative positions, the \( \sigma \)'s are the corresponding standard deviations, and the circumflexed quantities are the theoretical positions derived from the a priori values of the astrometric and orbital parameters. We have used the Levenberg-Marquardt algorithm (L-M; e.g., Press et al. 1992) to minimize the \( \chi^2 \). As other methods to find minima in a non-linear \( \chi^2 \) space, the efficiency of the L-M algorithm is much improved if good a priori values are used for the orbital elements. In our particular case, the exploration of the relative orbit data yields a reasonable initial value for the period: as seen in Table 3, the two NIR positions are similar, indicating that the time difference between both epochs, nearly one year, could be a promising initial value for the period. In addition, the separation and the position angle in the two first LBA epochs (2007.863 and 2010.816) are almost coincident, with a difference of less than two milliarcseconds. This strongly suggests that the time difference between the two LBA epochs (2.95 years) should be approximately an integer number of the true orbital period. If we assume that three complete orbits have elapsed between the two epochs, the orbital period would be 0.98 yr, coincident with the estimate made from the relative infrared data. Actually, the use of an a priori value for the period of 1 yr did facilitate the convergence of the L-M algorithm. Of course the previous argumentation is also valid for shorter periods as long as \( P \sim 1/n \) yr, with \( n \) being an integer number; however, no convergence is found in our fit for periods with \( n \geq 2 \).

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Table 3. Compilation of astrometric measurements for the AB Dor B system

| Epoch    | Instrument | Δα (mas) | Δδ (mas) | Reference |
|----------|------------|----------|----------|-----------|
| 2004/091 | VLT (IR)   | −56.8±3.0 | −33.1±3.0 | (1)       |
| 2005/019 | ..         | −64.6±3.0 | −27.4±3.0 | (1)       |
| 2005/909 | ..         | −67.7±3.0 | −4.0±3.0  | (1)       |
| 2008/650 | ..         | 9.6±3.0   | −16.4±3.0 | (1)       |
| 2008/855 | ..         | −61.3±3.0 | −9.9±3.0  | (1)       |
| 2008/967 | ..         | −61.5±3.0 | −24.8±3.0 | (1)       |
| 2009/003 | ..         | −57.3±3.0 | −26.7±3.0 | (1)       |
| 2009/131 | ..         | −45.6±3.0 | −32.7±3.0 | (1)       |
| 2007/863 | LBA (radio) | −62.0±0.3 | −10.5±0.7 | (2)       |
| 2010/816 | ..         | −60.3±1.5 | −9.7±1.4  | (2)       |
| 2013/625 | ..         | −31.3±0.4 | 9.3±0.9   | (2)       |

Notes. * In Wolter et al. (2014) this position was rather considered as an upper bound of 19 mas for the separation of Ba/Bb at 2008.855. (1) Wolter et al. (2007); (2) This study; (3) Guirado et al. 2006. The standard deviation of the relative position corresponds to the SNR-based uncertainty of the peaks of brightness of AB Dor Ba and Bb. The absolute position was obtained with reference to the IERS coordinate of the external quasar PKS 0516−621 (α = 5°16′44.926178; δ = −62°7′53′.38930). The standard deviation of the absolute position includes, in addition to their uncertainty of their respective peak of brightness, the contribution of the propagation media and the reference source structure.

4. Discussion

4.1. Stellar evolution models for PMS stars

The measurements of dynamical masses are essential to check PMS stellar evolution models. The mass is the most important stellar parameter, but determinations of the luminosity and the temperature are also necessary to calibrate the theoretical models. Extensive description and comparison between existing stellar models can be seen in Hillenbrand & White (2004).

In this paper, we have considered isochrones and isomasses corresponding to the PMS models of Baraffe et al. (1998; BCAH98), Siess et al. (2000; S00), Montalbán & D’Antona (2006; MD06), and Tognelli et al. (2011, 2012; TDP12). A metallicity value of [Fe/H]= 0.0 has been adopted as the average value of the AB Doradus moving group has reported to be [Fe/H]=0.02 ± 0.02 (Barenfeld et al. 2013). All the quoted models provide theoretical masses for stars down to 0.1 M⊙, but for different mass spacing. Low-convection efficiency (i.e. mixing length parameter αML = 1.0), which optimizes the comparison with our data, have been used in the case of BCAH98, MD06, and TDP12 models. For S00 models, tracks are available only for solar calibration, with αML = 1.61.

Besides the convection treatment, other differences among the quoted PMS low mass star models are relevant, in particular, the adopted equation of state, the radiative opacity, the atmospheric structures used to specify the outer boundary conditions, and the adopted initial abundances of the chemical elements (mainly helium and total metallicity) at a fixed [Fe/H] value (see, e.g., Siess et al. 2001, Mathieu et al. 2007, Tognelli et al. 2011). As a result, the age and mass inferred by comparing evolutionary tracks and data might significantly change for different stellar models (i.e. input physics).

These models are displayed in Fig. 5, where different isomasses and isochrones are plotted. We have placed AB Dor Ba and Bb in the HR diagrams of Fig. 5 using the spectroscopically determined effective temperatures of Wolter et al. (2014) and the K magnitude measured by Janson et al. (2007). BCAH98 and TDP12 models suggest that AB Dor Ba and Bb are coeval, with an estimate of MbB instead of mB. Again, using the Kepler’s Third Law, new with mB, we obtain a value of mB = 0.25±0.05 M⊙, being this estimate largely independent of mB and the total mass.

Regarding the astrometric parameters in Table 3 we notice that the long-term orbit of the pair AB Dor B around AB Dor A is reflected on the values of the perspective acceleration; actually, solving for Q1 and Q2 reduced the rms of the residuals by a factor of three. The magnitude of the acceleration can be easily reproduced from the simple expression (circular orbit) (2π/PAB)2 × rAB, taking the A/B distance rAB = 9.22′′ at the reference epoch (2000.0) and assuming reasonable values of the period of B around A, PAB (~2000 yr; within the plausible orbits defined in G06).

Finally, as seen in Figs. 3 and 4 the orbit of the pair in AB Dor B is not fully covered. However, the orbital elements in Table 4 are satisfactorily determined. This apparent contradiction may be explained from the following two facts. First, the so-called “Eggen’s effect” (Lucy 2014), which predicts that for poorly covered orbits, the quantity a2/P2 has little variation for values of the parameters (a, P) that minimize the χ2 defined in Sect. 3.2 (note that a2/P2 is proportional to the star masses, and therefore sensitive to any trace of orbital motion evidenced in one of the components of the binary). And second, the fact that we have a precise a priori value for the orbital period, which combined with the previous effect, leads to a firm estimate of the semimajor axis, greatly constraining the rest of the orbital elements.
Fig. 3. Relative orbit for the binary AB Dor Bb using to the orbital elements in Table 4 (with $a_{\text{rel}}$). The AB Dor Ba component is indicated by the asterisk at the origin. Star symbols and epochs correspond to the VLBI data. For the sake of clarity, the NIR points are marked with numbers, following a chronological order which corresponds with their entries in Table 3. A prediction of the relative position at epoch 2008.605 is shown as an empty circle, indicating that the upper bound of 19 mas suggested by Wolter et al. (2014) is fully accomplished.

Fig. 4. Absolute orbits of AB Dor Ba and AB Dor Bb using the orbital elements in Table 4 (with $a_{\text{Ba}}$ and $a_{\text{Bb}}$, respectively). The positions of components Ba (triangles) and Bb (star symbols) are marked along with their respective epochs. The center of mass (CM) of the system is placed at the origin.

an age between $\sim$50 Myr and 100 Myr, similar to that reported by Janson et al. (2007) and Wolter et al. (2004). S00 provides a slightly older age, but non-coevality. Finally, MD06 predicts substantially older ages, 100–125 Myr for both stars. The latter age range seems to agree with the age derived by Barenfeld et al. (2013) for the nucleus of the AB Dor-MG (>110 Myr).

On the other hand, the theoretical masses predicted from the models agree with our dynamical estimates just at the extreme of their uncertainties. The models of BCAH98 and TDP12 (with a denser distribution of isomasses than S00) predict mass ranges of $0.18–0.25 M_\odot$ for component Ba and $0.14–0.21 M_\odot$ for component Bb. MD06 models also underpredict the masses of Ba
and Bb but with a better agreement, in practice within the standard deviations of our dynamical measurements. Therefore, for the BCAH98, TDP12, and S00 models, the dynamical masses reported in this paper are 30% and 40% larger than the central values of the range predicted for AB Dor Ba and Bb, respectively. This percentage of disagreement decreases to 10% for the MD06 models. Our results seem consistent with similar comparisons of dynamical and theoretical masses done by other authors (Hillenbrand & White 2004; Stassun et al. 2004; Mathieu et al. 2007), who concluded that models underpredict stellar masses by 10–30% for PMS stars with masses in the range 0.3–1.2 M⊙. Our comparisons suggest that this disagreement holds for masses below 0.3 M⊙. We notice that other stellar models designed specifically for lower mass objects (e.g. DUSTY models, Chabrier et al. 2000) do not cover the range 0.2–0.3 M⊙.

### 4.2. An alternative scenario for the binary AB Dor B

As noted in Sect. 3.1, both AB Dor Ba and AB Dor Bb are strong, compact radio emitters, which contributes to the emerging perception that many radio stars reside in double or multiple systems (Melis et al 2012; Azulay et al. 2014). Considering the radio/X-ray activity correlation (Güdel et al. 1993), this perception finds support in other, better reported statistics which relates X-ray activity and binarity, namely, that about 79% of the X-ray emitters are in binary systems (Makarov & Eggleton 2009). Many of these binaries correspond to close binaries, but interestingly, a good fraction of the total X-ray binaries (67%; Makarov & Eggleton 2009) are part of hierarchical triple systems, with the third body in a wider orbit. In this scheme, the presence of the wide companion induces dynamical perturbations to the orbit of the close binary at each periastron passage, through the Kozai cycles and tidal friction mechanism (e.g., Mazeh &
Table 4. Estimates of the astrometric and orbital parameters of AB Dor B\textsuperscript{a,b

| Parameter | Value |
|-----------|-------|
| $a_0$ (h m s) | 5 25 44.48596 ± 0.00022 |
| $\delta_0$ (°) | $-65 26 46.0573 ± 0.0013$ |
| $\mu_0$ (s yr\textsuperscript{-1}) | 0.01054 ± 0.00012 |
| $e_0$ (s yr\textsuperscript{-1}) | 0.1287 ± 0.0005 |
| $Q_0$ (s yr\textsuperscript{-1}) | 0.000008 ± 0.000001 |
| $Q_0$ (arcsec yr\textsuperscript{-1}) | $-0.00010 ± 0.00005$ |
| $\pi$ (arcsec\textsuperscript{2}) | 0.0664 ± 0.0005 |
| $P$ (yr) | 0.986 ± 0.008 |
| $\omega_1$ (°) | 0.052 ± 0.002 |
| $\omega_2$ (°) | 0.028 ± 0.002 |
| $\omega_3$ (°) | 0.038 ± 0.002 |
| $\omega_0$ (°) | 0.6 ± 0.1 |
| $i_0$ | 121 ± 5 |
| $\Omega_0$ | 54 ± 20 |
| $T_0$ | 2003.68 ± 0.05 |
| $m_{Bb}$ (M\textsubscript{\odot}) | 0.28 ± 0.05 |
| $m_{Bb}$ (M\textsubscript{\odot}) | 0.25 ± 0.05 |

Notes. \textsuperscript{a} The reference epoch is 2000.0. \textsuperscript{b} The number of degrees of freedom of the fit is 14; the minimum value found for the reduced $\chi^2$ is 1.2. \textsuperscript{a} We note that our parallax estimate is more accurate than the Hipparcos value given for AB Dor A and still compatible. \textsuperscript{a} For the absolute orbit of AB Dor Ba $\omega_{Ba} = \omega_{Bb} + \pi$.

Shaham 1979; Fabrycky & Tremaine 2007). Provided that the inner and outer orbits are misaligned, such an interaction progressively produces a loss of angular momentum that leads to the close binary to shrink, to increment its orbital period, and eventually to a merging process. The merging merger will retain part of the angular momentum showing, as a consequence, an extraordinary high rotational velocity, which will translate to high levels of activity both at X-ray and radio. This appears precisely to be the scenario found in some of the young radio stars in binary systems. In fact, Makarov & Eggleton (2009) explained the origin of the high rotation rate of AB Dor A (0.5 days) via Kozai cycling and tidal interaction between a close binary (now merged in AB Dor A) and the 0.090 M\textsubscript{\odot} low mass companion AB Dor C, orbiting AB Dor A at a mean distance of 2 A.U. with a period of 11.74 yr.

Could a similar mechanism be acting in AB Dor B? The remarkable high radio emission in both AB Dor Ba and AB Dor Bb reported in this paper and the rapid rotation suspected to occur in the two stars, <0.88 days (Wolter et al. 2014), provide support to this hypothesis. In addition, the separation Ba–Bb is only 0.15 A.U. at periastron with a much faster period than the pair AB Dor A/C, ~1 yr. Therefore, a more efficient Kozai cycling and tidal interaction might be taking place. Interestingly, this hypothesis would imply a double-double scenario where both components, Ba or Bb, resulting from their respective mergers, would act as mutual "third bodies", one with respect to each other. This double-double scenario appears not to be rare and it has been proposed to explain the light curves of quadruple systems of eclipsing binaries (Cagas & Pejcha 2012).

5. Conclusions

We have shown the first VLBI images of the binary AB Dor B, where we detect the presence of compact radio emission in both components. The scientific output of our LBA astrometric monitoring has been optimized, since both the absolute and relative orbits have been determined in combination with published NIR relative positions. The dynamical masses of the individual components of AB Dor B are very similar (0.28 and 0.25 M\textsubscript{\odot}, for Ba and Bb, respectively). These values are 10–30% (10–40%), depending of models, larger than the theoretical estimates of PMS evolutionary models for AB Dor Ba (AB Dor Bb), underlying the known tendency of these models to underpredict the masses, yet within 2-σ of the predicted values. Comparisons in H-R diagrams favour an age between 50 Myr and 100 Myr, although Montalbán & D’Antona (2006) models predicts ages older than 100 Myr. AB Dor B is one of the systems in the AB Dor-MG whose two components are radio emitters, contributing to the evidence that many young, wide binaries are strong radio emitters (as AB Dor A and HD 160934; see Azulay et al. 2014). This radio-binarity correlation may be the radio counterpart of the better established relationship between wide binaries and X-ray activity, which can be explained under the assumption that the present wide binaries were originated by dynamical interaction of hierarchical triple systems. According to this, AB Dor Ba/Bb could be understood as two earlier close binaries, a double-double system, where both binaries were forced to shrink and merge via mutually-induced, cyclic dynamical perturbations. The evolved two mergers (the present stars Ba and Bb) would thus keep part of the angular momentum as a very rapid rotation, responsible in turn of both the X-ray and radio activity.

New, more precise estimates of the dynamical masses would be desirable via an improved coverage of the orbit, where the resolution and sensitivity of the LBA array has shown to be essential. Likewise, as pointed out by Janson et al. (2007) and Wolter et al. (2014), high-resolution spectroscopy of the components in AB Dor B would also constrain better their placement in H-R diagrams. The latter observations would also help to confirm the suspected rapid rotation of both components, as well as to determine the tilt of the spin axis of each star with respect to the orbital plane, which could add arguments in favor of the interpretation of the binary AB Dor B as an earlier double close-binary system.

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