Role of filler and its heterostructure on moisture sorption mechanisms in polyimide films

Hom N. Sharma, Matthew P. Kroonblawd, Yunwei Sun & Elizabeth A. Glascoe

Moisture sorption and diffusion exacerbate hygrothermal aging and can significantly alter the chemical and mechanical properties of polymeric-based components over time. In this study, we employ a multi-pronged multi-scale approach to model and understand moisture diffusion and sorption processes in polyimide polymers. A reactive transport model with triple-mode sorption (i.e., Henry’s, Langmuir, and pooling), experiments, and first principles atomistic computations were combined to synergistically explore representative systems of Kapton H and Kapton HN polymers. We find that the CaHPO4 processing aid used in Kapton HN increases the total moisture uptake (~0.5 wt%) relative to Kapton H. Henry’s mode is found to play a major role in moisture uptake for both materials, accounting for >90% contribution to total uptake. However, the pooling mode uptake in Kapton HN was ~5 times higher than in Kapton H. First principles thermodynamics calculations based on density functional theory predict that water molecules chemisorb (with binding energy ~17–25 kcal/mol) on CaHPO4 crystal surfaces. We identify significant anisotropy in surface binding affinity, suggesting a possible route to tune and mitigate moisture uptake in Kapton-based systems through controlled crystal growth favoring exposure of CaHPO4 (101) surfaces during manufacturing.

Polyimide films are ubiquitous in electronics, circuit boards, and spacecrafts because of their thermal stability, chemical resistance, and mechanical properties1–5. Although these films are chemically compatible and extremely resilient to degradation, studies have demonstrated that they are hygroscopic and can uptake substantial amounts of moisture, relative to their weight, under normal atmospheric conditions6–8. One major concern is that over time, this latent moisture may outgas and diffuse into surrounding materials triggering hydrolytic degradation, metal corrosion, matrix cracking, micro-void generation, and/or interfacial delamination2,9–11. Any of these processes may lead to irreversible damage to the device. Understanding and predicting moisture uptake and outgassing in polyimides is important for establishing lifetimes and viability of electronics, circuit boards, spacecrafts, and many other devices and components that utilize these polymer films.

The hygrothermal properties of polyimides have been studied previously7,8,12, however, the production and availability of new polyimide formulations necessitates additional studies and enables the exploration of how small formulation changes can alter these properties. Kapton is a commercially available polyimide polymer manufactured by DuPont. It is synthesized using the monomers pyromellitic dianhydride (PMDA) and 4,4’-oxydianiline (ODA), and is reported to have large moisture uptake affinity (up to ~2.8 wt %)6,7. With a glass transition temperature (Tg) of 360–410 °C, these materials are glassy polymers near ambient conditions. Two Kapton materials are considered here as representative systems, namely Kapton H and Kapton HN. Kapton HN contains the slip-additive calcium phosphate dibasic (CaHPO4) in addition to the base polymer in Kapton H13. These two materials were chosen to demonstrate the effects of fillers in moisture sorption and to quantify sorption modes using a multi-pronged approach including theory, experiments, and computations. Previous reports on Kapton films relied on equilibrium states and suggest that Henry’s sorption mode, dual-mode, and Fickian diffusion are the dominant processes, but provide limited mechanistic insights7,14,15. Modern gravimetric based dynamic vapor sorption (DVS) measurements, dynamic sorption/diffusion modeling, and atomistic modeling allow for a more complete investigation of the dynamics and mechanisms of these processes.

A polymeric material’s moisture sorption properties can be significantly altered by the addition of fillers, such as zeolites, silica, phosphate, or alumina compounds16–18. In many instances, fillers are intentionally added to alter these sorption properties. The filler may alter the polymeric material’s macro- and microstructure19, density,
and pressure conditions. Along with experiments and sorption-diffusion modeling, our molecular-level predic-
clustering model is commonly used to treat pooling behavior in equilibrium situations, it is not sufficient for
correlations, but lacks predictive capacity.

A traditional approach to investigate diffusion involves a Fickian-type (Case I) model (for example, the Crank
and Park model), which simply relates the mass flux to the concentration gradient of each species. While use-
ful, the solution from the Crank model is more suited to processes occurring on long time scales. Non-Fickian
diffusion is often treated by relating the total mass uptake \( M \) over time \( t \) as \( M \propto t^n \), with pseudo-Fickian cases having \( n < 0.5 \) and anomalous cases with \( 0.5 < n < 1.0 \). Special cases are recovered with \( n = 0.5 \) (Fickian) and \( n = 1.0 \)
(Case II sorption). Sorption kinetics, mostly implemented as equilibrium isotherms, have been explored using
other models such as Langmuir, Freundlich, and Brunauer-Emmett-Teller. In some cases, a dual-mode iso-
therm with Langmuir and Henry’s type sorption modes has been proposed, which is reasonable for obtaining
correlations, but lacks predictive capacity.

The above treatments are limited to equilibrium states, which is not sufficient in practice for modeling realistic,
dynamically changing systems involving multi-material and multi-gas (and vapor) interactions with unknown
aging and compatibility scenarios. Moreover, some materials show unique sorption behavior at higher relative
humidities, where water molecules start to aggregate leading to an elevated moisture uptake. This type of cluster-
ing mode (or pooling mode) is significantly different from Henry’s or Langmuir-type sorption modes and needs
a different mathematical formulation beyond the dual-mode sorption model.

Dynamic vapor sorption (DVS) experiments quantify the differences between the two materials and demonstrate
a substantially larger absorption capacity (i.e., Henry’s mode sorption) and clustering or pooling for Kapton HN
compared with Kapton H. Experimental results were analyzed using a triple-mode sorption model to establish
mode-specific sorption contributions. Molecular-level DFT calculations were coupled with the first principles
thermodynamics (FPT) to understand the interaction of moisture on CaHPO₄ surfaces at realistic temperature
and pressure conditions. Along with experiments and sorption-diffusion modeling, our molecular-level predic-
tions for water binding affinity and phase diagrams for moisture adsorption on specific CaHPO₄ crystal facets
provide guidance for selective manufacturing of filled polymers and tuning moisture affinity.

Results

Continuum-scale moisture sorption experiments. Dynamic gravimetric type experiments were con-
ducted over a wide range of water activities to quantify the moisture uptake in Kapton H and HN. A schematic of
the experiment is provided in Fig. 2 (panel a) and a full description of the experiment is provided in the methods
section. In a typical isotherm experiment, the sample is dried in the chamber, then exposed to a series of defined
water activity steps (i.e., 5% RH per step) in a flow-gas environment under isothermal conditions (see Fig. 2,
panel b, right y-axis). The sample mass change is recorded after each water activity step until the sample weight
equilibrates, or the software reaches a pre-set time limit. Figure 2 panel b shows the water activity steps and mois-
ture uptake profile for Kapton HN at 30 °C. Magnification of the first water activity step (see inset panel b, Fig. 2)
clearly shows the transient moisture uptake profile after the relative humidity inside the chamber is increased. A
small overshoot on the water activity at the beginning of each step is associated with the equipment PID control,
however, no significant impact was observed on the moisture uptake profile. The duration at each water activity
level is determined by the experimental software and coarse analysis of the uptake curve to determine if the

Figure 1. Schematics depicting the water-Kapton-filler interactions from macro-to-molecular levels (cm to nm
scales) and the corresponding approaches used at each level.
material has equilibrated. As such, there are some steps in the isotherm that have longer time steps than others; these variations in duration do not alter the analysis and modeling, and do not necessarily imply any change in the sorption properties of the material.

We performed moisture isotherm experiments on Kapton and Kapton HN at four different temperatures between 0 and 90% RH, and the results are shown in Fig. 2 (panels c and d). Overall, moisture uptake profiles of both materials were very similar. Both Kapton H and HN exhibited maximum moisture capacities (at 90%
RH) that were insensitive to temperature; this is consistent with the observation by Sacher et al.35. Both Kapton formulations uptake a significant amount of moisture relative to other polymeric materials such as unfilled polydimethyl siloxane (e.g., Sylgard-18416 takes up ~20 times less moisture)36, and high density polyethylene (e.g., ~200 times less moisture)16. Finally, both formulations exhibit equilibrium isotherms (not shown) that are linear with respect to water activity over a wide range of humidities. This linear behavior suggests that the sorption behavior is primarily dominated by one sorption mechanism and will be discussed in the continuum modeling section.

The only observable difference between the moisture uptake data of the two Kapton formulations was the total moisture uptake. One can see that Kapton HN sorbs nearly 0.5 wt% more moisture than Kapton H at the maximum humidity. Several other differences are revealed in the continuum-scale modeling of these experiments.

Continuum-scale sorption and diffusion modeling. Continuum scale modeling of the Kapton H and HN results using our triple-mode sorption model allows for further interpretation of sorption mechanisms and enables simulations of material response to other hygrothermal conditions. The triple-mode sorption model consists of three sorption models: Henry's model, Langmuir model, and a pooling model. The model is described in the method section and previous publications16,20. In the model calibration, it is extremely important that the optimized parameter set globally minimizes the objective function used to describe the match between experiment and model.

The initial parameter calibration was performed using the PSUADE (Uncertainty Quantification code and sampling-based search)38. For both materials, the calibration was performed using the experimental data at all temperatures considered here. In this method, more than 1000 sample points were generated using Latin Hyper Cube sampling that were used to compute and compare the objective function. The PSUADE results for two parameters ($k_d$ and $D$) are plotted in Fig. 3 (panel a) enabling visualization of the objective function landscape to identify the global minimum value and sensitivity for each parameter. Visualizing all the parameters on a single 2D plot is unfeasible, so sensitivity and parameter optimization were performed through non-visial analysis methods.

The PSUADE optimization only provides a coarse optimization. The calibrated parameters from PSUADE served as an initial guess for the Shuffled Complex Evolution (SCE) optimization method37 that was performed to obtain more precise and accurate model parameters for each sample. The PSUADE and SCE optimizations were

![Figure 3. Panel a: Surface plot showing $k_d$ and log($D$) variation in terms of objective function and the global minimum (at the intersection of the dotted lines). Color bar for the objective function values is shown on the right. Panel b: Objective function evolution during SCE optimization of triple-mode sorption model for Kapton H and Kapton HN data at 30 °C. Optimization convergence criterion was set to $\delta E = 1 \times 10^{-5}$ for the relative change in the objective function.](image-url)
performed using only the sorption experimental data (i.e., uptake only) at different temperatures. Figure 3 (panel b) shows the evolution of objective function during a SCE run for Kapton H and Kapton HN at 30 °C. Most of the parameters converged after 25–30 iterations as shown in panel a, Fig. 3. Moreover, the global minima between Henry's constant (kd) and diffusivity (D) derived from the SCE optimization aligns with the PSUade landscape, which confirms the robustness of the SCE optimization method. We note that these SCE optimizations are very computationally expensive even for the 1D simulations, and become cost prohibitive for high dimension (i.e., 2D or 3D) problems.

Simulations of the experimental conditions using the calibrated model are plotted with the experimental data in panels c and d, Fig. 2). One can see the excellent match between the calibrated model and the experimental results at all temperatures and water activities investigated (i.e., 30–60 °C and 0 to 0.9 water activity or dry to 90% RH). Figure 2 panels e and f show the relative error between model and experiment for the 30 °C results. In general, 95% of the error probability distribution falls within ±4% of error range and centered at zero (see further in Supplementary Information S3). This implies that the model performs well (i.e., no under or over prediction) against the experimental data. The ability to capture the entire experimental profile for moisture uptake (i.e., from low to high water activities) for both polymers validates our approach of using the triple-mode sorption model to simulate the moisture sorption-diffusion in these materials.

The SCE optimized parameters for 50 °C are listed in Table 1 and the parameter sets at all the other temperatures are provided in Supplementary Information (see Tables S1 and S2). Diffusivity values for Kapton samples across all temperatures were between ~1 × 10⁻⁷ and 2 × 10⁻⁷ cm² min⁻¹, which is consistent with previously reported values of ~1 × 10⁻⁷ 14,35. The diffusion activation energies, computed using an Arrhenius type relationship $D = D_0 \exp\left(-\frac{E_d}{RT}\right)$, were in the range of 30–40 kJ/mol. Details are given in Supplementary Information S4. Our results show that the most sensitive parameter is Henry's law constant (kd) in both Kapton H and HN.

The optimized parameters enable further differentiation between Kapton H and HN sorption mechanisms. Figure 4 (panels a and b) show the constitutive sorption models (Henry, Langmuir and pooling), derived from the optimized model, in comparison to the full model and experimental uptake data. One can clearly see that both materials sorb a substantial amount of water via the Henry's absorption mechanism and a negligible amount via Langmuir's adsorption mechanism. The biggest difference between Kapton and Kapton HN is the amount of moisture that is sorbed via the pooling mechanism. More prominent distinctions can be seen when the percent contribution of each mode to the moisture uptake over the entire experiment is plotted as in panels c and d (Fig. 4). In Kapton HN, the pooling mode uptake is approximately 5 times higher than in Kapton H. Panels e and f (Fig. 4) show the variation of uptake due to the Henry's law constant, kd (at the highest water activity, i.e., 90% RH) and pooling at each temperature. It is evident that the pooling uptake is significantly higher in Kapton HN versus H at every temperature studied, which helps explain why the overall moisture uptake in Kapton HN is greater than H. However, Henry's absorption also contributes substantially to the moisture uptake in these materials and Fig. 4 panel e demonstrates that the kd of Kapton HN is always slightly greater than that of Kapton H. One can also see a decreasing trend with increase in temperature.

**Discussion of continuum-scale moisture uptake mechanisms.** The sorption mechanisms for moisture uptake can be attributed to chemical and morphological properties of materials. In previous studies of filled and unfilled polydimethyl siloxane (PDMS), we observed significant moisture uptake via the Langmuir mechanism in the filled PMDS and very little Langmuir sorption in unfilled materials16,20. The PDMS matrix is typically hydrophobic and the filler in those studies (SiO₂) was hydrophilic38,39. Hence, it is reasonable to conclude that the Langmuir sorption observed in filled-PDMS was due to moisture molecules van der Waals bonding to the hydrophilic sites on the filler.

The pooling of moisture in a material is associated with porosity. Pore filling of mesoporous materials involves large uptake of moisture due to the clustering mechanism and shows an exponential profile in an uptake versus water activity plot, especially at the higher water regions. For example, substantial pooling was observed in an alumina matrix composite material, Zircar RS1200, which has a high porosity (approximately 40%) and consists of alumina (82 wt% Al₂O₃), silica (12 wt% SiO₂), and other metal oxides (6%). The nucleation of pooling in Zircar is, most likely, founded on a monolayer of Langmuir sites, as this material also demonstrated significant Langmuir sorption40. Unfilled PDMS, which has very little porosity and negligible Langmuir sorption, is still able to cluster a small amount of moisture at elevated humidities16,20. However, once filler is added to the PDMS matrix, the

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**Table 1. SCE optimized parameters for triple-mode sorption in Kapton H and Kapton HN at 50 °C.**

| Parameter                | Symbol | Calibrated results at 50 °C |
|--------------------------|--------|----------------------------|
| Effective diffusivity    | D      | 2.75 × 10⁻⁷                 |
| Desorption rate          | kₗ     | 3.97 × 10⁻¹                 |
| Langmuir capacity        | Cₕ     | 5.0 × 10⁻²                  |
| Langmuir affinity        | bₗ     | 2.676 × 10⁻¹                |
| Pooling factor           | α       | 0.5 × 10⁻¹                  |
| Pooling threshold        | Cₗ     | 1.169 × 10⁰                 |
| Pooling power            | α       | 1.933                       |
| Henry's law constant     | kₗ     | 2.53 × 10²                  |
pooling increases substantially. It is likely that the silica filler in our filled-PDMS studies not only nucleated pooling via the Langmuir monolayer, but also created more porosity in the material thus providing the void volume necessary to enable pooling. Hence, fillers in materials may enable multiple different moisture sorption mechanisms by changing both the chemical and morphological nature of the material.

The key difference between Kapton H and HN is the presence of filler. Our analysis demonstrated that pooling (clustering) was present in both Kapton samples, but was much higher in Kapton HN. This is likely due to the CaHPO$_4$ in Kapton HN. Langmuir sorption was relatively small in both Kapton H and Kapton HN, which was somewhat unexpected as we had hypothesized that CaHPO$_4$ would add Langmuir sites to Kapton HN. An atomistic study was executed in order to further understand the nature of the moisture interactions with CaHPO$_4$. Our atomistic modeling results, discussed below, indicate that the moisture interactions vary with the exposed crystal facets of CaHPO$_4$. Unfortunately, we do not know the crystal morphology of CaHPO$_4$ in Kapton HN and thus only tentatively conclude that the pooling uptake in Kapton HN is due to increased porosity created via the presence of filler.

**Atomistic modeling of CaHPO$_4$ surfaces and H$_2$O interactions.** The continuum-scale modeling and experiments discussed above left many unanswered questions concerning the mechanisms and interactions of water molecules with the CaHPO$_4$ filler in Kapton HN. Atomistic modeling provides qualitative and quantitative information about the CaHPO$_4$ crystal structure and water-surface interactions. Our modeling relied on Density Functional Theory (DFT) calculations using the Vienna Ab-initio Simulation Package (VASP). A full description of the basis set, corrections, assumptions, and first principles thermodynamics method is provided in the

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**Figure 4.** Triple-mode sorption analysis of Kapton H and Kapton HN. Panel a: moisture uptake (in %) vs. time for Kapton H at 30 °C; Panel b: Moisture uptake (in %) vs. time for Kapton HN at 30 °C; Panel c: Moisture uptake (in %) vs. time for Kapton H at 30 °C; Panel d: Moisture uptake (in %) vs. time for Kapton HN at 30 °C; Panel e: Comparison of Henry’s mode constant $k_d$ of Kapton H and Kapton HN at temperatures of 30, 40, 50, and 60 °C; Panel f: Maximum percentage uptake at the water activity of 0.9 due to pooling mode in Kapton HN and Kapton H.
**Methods Section.** All calculations correspond to equilibrium state results and enable a deeper understanding of the mechanisms and behavior the filler in Kapton HN.

\[ \text{CaHPO}_4 \text{ optimized surface configurations were obtained using DFT for slabs with exposed (001), (100), (101), and (002) facets and are shown in the first column of Fig. 5(a). These figures all show a cross-section or side view of the surface where the top layer is the surface and the three subsequent layers are below the surface and represent a bulk-material. The other columns show cases with adsorbed water molecules and are described in more detail below. A } 2 \times 2 \text{ repetition of the simulation cell in the transverse dimensions is shown in each snapshot and axes highlight relevant crystal directions and the normal vector } \mathbf{N}_{ijk} \text{ for the exposed face in each row. Surface energies computed using Equation 14 show that the stability of the four facets rank as (001) > (002) > (101) > (100) (see Figure 5. Panel a: Optimized configurations with exposed surface organized by row and number of adsorbed water molecules organized by column. Snapshots were rendered using VESTA with atoms colored blue, orange, red, and white for calcium, phosphorous, oxygen, and hydrogen. The top layer of atoms in each snapshot represents the material surface, lower layers are depth into the bulk material. Site specific binding energies (per } \text{H}_2\text{O molecule) are displayed (in kcal/mol) on each clean surface shown in the first column and a Scale bar (in Å) is shown on the rightmost panel of each surface. Panel b: Surface energies computed using Eq. 14. Panel c: Average binding energy per adsorbed water molecule plotted as a function of coverage computed using Eq. 15.} \]
bonds through the periodic boundary, it is reasonable to infer that water-water hydrogen bonds would contribute hydrogen bonds to adsorbate(s) on calcium sites. In the case with three water molecules, these hydrogen bonds molecules, one of the (002)-surface adsorbates forms two hydrogen bonds with phosphate oxygen atoms and also on the (002) surface that likely increases the binding energy with increasing coverage. With two or more water particularly large binding energies, suggest a chemisorption process.

Energetically favorable sites for water adsorption were identified through a systematic, but non-exhaustive, search over each optimized surface configuration. Trial sites for water adsorption were identified on the crystal surfaces based on chemical intuition. For example, the polarizable water molecule was oriented to either (1) enable hydrogen bonding to O-groups on the surface or (2) enable the oxygen interactions with the calcium sites on the surface. At least two calcium sites and two oxygen sites were considered for each surface. Initial configurations were prepared from optimized surface configurations in which the water oxygen atom was placed directly over a surface calcium atom or in which one of the water O-H bonds was aligned in the z direction with the H directly above a surface phosphate oxygen atom. The lowest-energy optimized configuration with a single water adsorbed on each surface was used as the starting point for preparing initial configurations with two water molecules. A similar procedure was used to prepare surfaces with three water molecules. Snapshots of the lowest energy configurations are shown in Fig. 5(a).

The binding energy for water molecules adsorbed on each surface \( (ijk) \) was computed from Eq. 15 using the lowest energy configurations shown in columns two, three, and four in Fig. 5(a). The absolute value of the average binding energy per water molecule is plotted as a function of surface coverage in Fig. 5(c). In all cases, water binding is energetically favored, and larger absolute values indicate stronger binding. An extra set of calculations at very low coverage were performed for the two lowest surface energy cases, namely (001) and (002), using cells with a single water molecule adsorbed on a slab with a \( 2 \times 2 \) transverse area. Linear interpolations between the data points for these two low-coverage cases and those points obtained using \( 1 \times 1 \) cells are shown as dashed lines. A \( 2 \times 2 \times 1 \) k-space mesh was used for the \( 2 \times 2 \) cells and a \( 4 \times 4 \times 1 \) k-space mesh was used for the \( 1 \times 1 \) cells.

It is highly favorable for water molecules to adsorb on all four crystal facets. The predicted binding energy per adsorbed molecule ranges from 16.9 kcal mol\(^{-1}\) to 24.7 kcal mol\(^{-1}\), and is significantly stronger than the hydrogen bonds in liquid water. The binding energy per molecule decreases with increasing coverage for the (001), (100), and (101) cases, which is expected. Surprisingly, the binding energy per molecule increases with increasing coverage in the (002) case. The (001) case has both the lowest surface energy and highest water binding energy over most of the coverage interval. To understand the electronic interactions involved with sorption, we examined the electronic density of states (DOS). Total DOS plots (shown in the Supplementary Information, Fig. S4) reveal a filling out of states near the highest occupied molecular orbital (HOMO) and a projected DOS analysis (Fig. S5) revealed peak shifting and broadening of the molecular orbitals localized to the surface Ca and water O atom involved in sorption. Significant overlaps of s- and p-like states centered on the Ca and O atoms, coupled with the particularly large binding energies, suggest a chemisorption process.

Comparison of the snapshots in Fig. 5(a) reveals that water-water hydrogen bonds form a concerted network on the (002) surface that likely increases the binding energy with increasing coverage. With two or more water molecules, one of the (002)-surface adsorbates forms two hydrogen bonds with phosphate oxygen atoms and also hydrogen bonds to adsorbate(s) on calcium sites. In the case with three water molecules, these hydrogen bonds form a nearly linear chain through the periodic boundary, which may be a consequence of the small simulation cell. However, as the case with two water molecules still exhibits increased stability without forming hydrogen bonds through the periodic boundary, it is reasonable to infer that water-water hydrogen bonds would contribute to the binding energy in larger (002) systems. In contrast, water molecules on the other surfaces do not arrange into highly ordered hydrogen bonding networks for the amounts of coverage considered here. It seems likely that the topology of calcium and oxygen sites on the (002) surface promotes interactions between multiple adsorbed water molecules.

The minimum in the binding energy in the (002) case can be rationalized in terms of simulation cell sizes and number of adsorbed water molecules. Both the \( 2 \times 2 \) cell (coverage \( \approx 0.005 \) molecules \( \text{Å}^{-2} \)) and the \( 1 \times 1 \) cell (coverage \( \approx 0.021 \) molecules \( \text{Å}^{-2} \)) have only one water molecule adsorbed, but the \( 2 \times 2 \) surface has more degrees of freedom and can optimize through subtle surface reconstruction to a more tightly bound configuration. A similar argument holds for the (001) case as well. Meanwhile, increases in binding energy with increasing coverage are the result of interactions between adsorbate molecules. Cells for coverage \( > 0.03 \) molecules \( \text{Å}^{-2} \) contain more than one water molecule, and it is apparent that the (002) surface promotes strong water-water interactions leading to an increase in binding energy per molecule with increasing coverage. Because the search over adsorption sites was not exhaustive, it is not clear whether other calcium phosphate surfaces could also promote water-water interactions similar to (002).

**First principles thermodynamics and surface heterogeneity.** Phase diagrams for water adsorption were obtained using first-principles thermodynamic calculations following the approach described in the Methods Section. Two representative cases are shown in Fig. 6 panels (a) and (b) for the (001) and (101) faces, respectively. The partial pressure of water \( P_{H_2O} \) is measured with respect to a reference pressure \( P_0 = 1 \) atm. Four distinct regions can be seen in the phase diagram for (001) coverage. The first region, in gray, is free of water adsorbates and is favored at the lowest pressures and elevated temperatures. The green region represents the single water adsorption surface; one can determine the temperature and partial pressure conditions whereby the single water can be desorbed, and the material will be restored to a water-free surface. Increasing the partial pressure of water or decreasing the temperature favors surfaces with 2, then 3 surface waters per unit cell. The four phase
regions are less distinct for the (101) case because the binding energy per molecule varies less with coverage than in the (001) case (see Fig. 6(c) and discussion below).

Isobaric and isothermal coverage trends were extracted from the phase diagrams for the (001), (100), and (101) surfaces and are shown in Fig. 6 panels (c) and (d). Under isobaric conditions at $P = P_{1\text{H}_2\text{O}}$ atm (Fig. 6(c)), one would have to heat the CaPHO$_4$ to approximately 810 K in order to completely drive the water molecules off the surface. In contrast, one would need to heat the crystal to 710 K to drive all the water molecules off of the (101) surface. The isothermal response plot (Fig. 6(d)) shows that a (001) surface requires the lowest water partial pressure (and consequently higher vacuum condition) to remove all the water molecules. The (100) and (101) surfaces require less extreme vacuum conditions to completely dry the surface. Typical values for the vapor pressure of water at room temperature and pressure ($P_0 \approx 3\text{atm}$) yield $P_{\text{H}_2\text{O}} \approx 0.02\text{atm}$, which indicates that under those conditions one would expect significant amounts of water adsorbed on calcium phosphate crystal grains. Both the isobaric and isothermal phase diagrams reveal that it is significantly easier to remove water from (101) surfaces than from either (100) or (001) surfaces. Tailoring crystal growth conditions to favor expression of (101) surfaces would facilitate both temperature- and pressure-based desiccation processes.

Summary and Conclusions
Moisture sorption and uptake capacity of materials directly influences their physical and chemical properties. A detailed understanding of the underlying mechanisms that are activated during moisture exposure can aid in the design of materials and systems and is needed to predict device lifetime and performance. This work explores two different polyimide polymers (i.e., Kapton H and Kapton HN). The key difference between the two materials is the presence of CaHPO$_4$ in Kapton HN, which is added as a processing aid. Dynamic vapor sorption experiments were conducted at a range of temperatures (30–60 °C) in isothermal conditions by varying the water activity from 0 to 0.90 (i.e., relative humidities from dry to 90%). Kapton HN showed higher moisture uptake compared to Kapton H at all the temperatures considered here.

Triple-mode (Henry’s absorption, Langmuir adsorption, and pooling mechanisms) sorption and diffusion model was used to quantify the moisture uptake by these two materials. The model accurately captures the entire moisture uptake profile from dry to 0.9 water activity level at every temperature tested and the derived parameters are consistent with the diffusion parameters in the literature. Almost 90% of the total moisture uptake was due to Henry’s mode in both samples. Pooling of the water molecules was observed at elevated water activities (i.e., >0.65). Kapton HN showed significant increase in Pooling mode moisture uptake with 5 times higher weight percentage compared to Kapton H. This can be attributed to the CaHPO$_4$ present in Kapton HN, which may increase porosity and is a potential site for water clustering. While Henry’s mode type sorbed water can be relatively easily due to weak interaction (physisorption) between water and material, water sorbed on materials due
to Langmuir type interaction (chemisorption on filler) is more likely to create long term outgassing problems in many systems with moisture sensitive units as this is harder to remove from the surface. Thus, surface treatment (for example, hydrophobic functionalization of silica filler surface to remove active -OH surface group\(^\text{[4]}\)) of filler materials can be implemented to reduce such interactions.

Atomistic modeling of \(\text{H}_2\text{O}\) interactions with CaHPO\(_4\) surfaces revealed new molecular-level information and showed that the interaction strength was highly correlated to the surface facet anisotropy. DFT computations showed that the (001) face has the highest binding affinity to water. Unlike other typical systems (for example, \(\text{H}_2\text{O}\) on fcc metal surfaces\(^\text{[4]}\)), our results show that hydrogen bonding between \(\text{H}_2\text{O}\) molecules on (002) surfaces leads to an increase in binding strength with increase in surface coverage. Finally, first principles thermodynamics calculations were used to construct phase diagrams for realistic temperature and pressure environments. These phase diagrams showed that the CaHPO\(_4\) surface will retain moisture at room temperature and atmospheric pressure conditions. We show that it is significantly easier to remove water from (101) surfaces than from other facets considered here. Thus, it may be possible to fine tune moisture sorption behavior through tailored crystal growth.

**Methods**

**Experimental details.** All experiments were conducted using the IGAsorp\(^\text{[45]}\) instrument, designed by Hiden Isochema, which is equipped with a high resolution micro-balance. The instrument has relative humidity regulation accuracy of 0.02%, weight resolution of 0.05 \(\mu\)g, and temperature regulation accuracy of 0.01 °C. Details on the equipment and experimental setup can be found in prior publications\(^\text{[44,45]}\). Two different types of materials, i.e., Kapton H (typical sample dimensions: length = 8.89 cm, width = 2.54 cm, height = 0.00508 cm (2 MILE)), and Kapton HN (typical sample dimensions: length = 5.08 cm, width = 2.159 cm, height = 0.00889 cm (3.5 MILE), and density = 1.42 g cm\(^{-3}\)), were used for this comparative study. Sample dimensions were measured using high precision calipers from Swiss Precision Instruments, Inc.\(^\text{[46]}\). Sample density was computed utilizing the sample weight and measured sample volume. Prior to each experiment in the IGAsorps, each sample was preconditioned with dry nitrogen stream of 250 ml/min for several days until a stable mass was observed, which allowed us to obtain a true dry state sample and served as a baseline for the sample mass change.

The water activity range of 0–0.9 (i.e., Relative humidity range of 0–90%) and temperature range of 30–70 °C were observed, which allowed us to obtain a true dry state sample and served as a baseline for the sample mass change. The water activity range of 0–0.9 (i.e., Relative humidity range of 0–90%) and temperature range of 30–70 °C were considered in this study. For a typical isotherm sorption study, the water activity was scanned with 0.05–0.1 step in which 

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\omega = \frac{C}{C^\text{sat}}
\]

\(C\) is the gas concentration in terms of sample bulk mass, \(C^\text{sat}\) is the saturated gas concentration, and \(\omega\) is the water activity.

The mass balance equation with diffusion, kinetic Langmuir adsorption, Henry’s absorption, and pooling sorption in a material can be written as\(^\text{[47]}\):

\[
\frac{\partial C}{\partial t} = \nabla \cdot (D \nabla C) - \frac{dC_C}{dt} - \frac{dC_H}{dt} - k_a SC + k_s(C'_H - S)
\]

where \(C\) is the gas concentration in terms of sample bulk mass, \(C^\text{sat}\) is the saturated gas concentration, and \(\omega\) is the water activity.

In the Langmuir sorption mode, the Langmuir affinity constant \(b\) (in mg \(\text{g}^{-1}\)) can be defined as,

\[
b = \frac{k^\prime d C}{\rho_b} = \frac{k^\prime d C}{\rho_b}
\]

in which \(k^\prime_\text{d} = k^\prime_\text{d} \phi \rho_b\) (cm \(\text{s}^{-1}\)) is the Henry’s law constant used in simulations, \(k^\prime_\text{d}\) is the dimensionless Henry’s law constant, \(\phi\) is the porosity, \(\rho_b\) (g cm\(^{-3}\)) is the bulk density, \(c\) (mg cm\(^{-3}\)) is the gas-phase concentration of vapor. With the treatment of Henry’s mode as a mobile species, Eq. (2) can be expressed in terms of \(C_H\):

\[
\frac{1}{k_\text{d} \rho_b} \frac{\partial C_H}{\partial t} = \nabla \cdot \left( D \frac{1}{k_\text{d} \rho_b} \nabla C_H \right) - \frac{dC_H}{dt} - \frac{dC_P}{dt} - \frac{k_a}{k_\text{d} \rho_b} SC_H + k_s(C'_H - S).
\]

When \(k_\text{d} \rho_b \gg 1\), Eq. (4) can be written as

\[
\frac{\partial C_H}{\partial t} = \nabla \cdot (D c \nabla C_H) - \frac{dC_P}{dt} - k^\prime_\text{d} SC + k_s(C'_H - S)
\]

where \(D = D/k_\text{d} \rho_b\) and \(k^\prime_\text{d} = k_\text{d}/k_\rho_b\). In the Langmuir sorption mode, the Langmuir affinity constant \(b^\prime\) (in mg \(\text{g}^{-1}\)) can be defined as,
The equilibrium pooling concentration, $C_p$, (in mg g$^{-1}$), is a nonlinear function of Henry's mode local concentration and is defined as:

$$b' = \frac{k_s}{k_c}$$

The lumped pooling coefficient $\alpha$ is defined as,

$$\alpha = \frac{K'_{C}}{C_p^{\text{\alpha n}}}$$

where $K'_{C}$ is the equilibrium constant for a clustering reaction, $k_s$ is the Henry's law constant, $\alpha$ is the lumped pooling coefficient, and $n$ represents the number of molecules in each pool and is treated as a fitting parameter at continuum-scale. The effective diffusivity can be calculated as,

$$D = D_o \tau$$

where $D$ is effective diffusion coefficient, $D_o$ is molecular-weight-dependent diffusivity, and $\tau$ is medium-specific tortuosity, which is a measure of the connectivity of pores and defined as the chord-arc ratio (ratio of the straight distance to the integrated length of the tortuous pathway).

**Parameters estimation and optimization.** Model parameters are estimated using the uncertainty quantification code PSUADE\cite{4,47} and calibrated using the shuffled complex evolution (SCE) method\cite{48}. First, a sampling based non-intrusive Latin Hypercube (LH) sampling method\cite{49} is used to generate a large number of sample points; sufficiently large to represent the parametric space. Each 'sample point' consists of a vector of all parameters (i.e., $D$, $k_s$, $C_p^{\text{\alpha n}}$, $b'$, $\alpha$, $n$, and $k_d$) in our model. To be consistent with the equilibrium Langmuir formulation, we use the Langmuir affinity constant $b' = \frac{k_s}{k_c}$ [mg$^{-1}$ g] instead of $k_d$ in our parameter calibration. Then, each sample point is used to parametrize the model and the corresponding objective function is computed. Sample points resulting the smallest minimization function are chosen to be the candidates for the parameter optimization using the SCE method implemented in MATLAB with lower and upper bounds of all parameters defined. The objective function used for model calibration is:

$$f = \int |m(t) - \hat{m}(t)| dt$$

in which $m$ and $\hat{m}$ are the experimental and simulated mass uptake, respectively. The model simulated mass uptake is calculated as:

$$\hat{m} = \rho_b A_0 \int_0^L (C_{H} + C_{K} + C_{P}) \, dx,$$

where $\rho_b$ and $A_0$ are the bulk sample density and sample area, respectively. SCE in PSUADE is used to find the best fit of model to experimental data with a set of best fit parameters. Our SCE optimization convergence criterion was set to $1 \times 10^{-5}$ for the relative change in the objective function. Once the convergence criterion has been met, the optimization is set to complete and the final parameters are obtained. Our model parameters are set to be accurate within the error margin of 0.01%.

**Atomistic calculations.** Density functional theory\cite{51,52} (DFT) calculations were performed to characterize water adsorption on selected crystal facets of calcium phosphate using the Vienna Ab-initio Simulation Package\cite{53,54} (VASP) and three-dimensionally periodic simulation cells. All DFT calculations were performed using the Perdew-Burke-Ernzerhof\cite{55} (PBE) generalized gradient approximation functional with projector-augmented wave (PAW) pseudo-potentials\cite{56,57} and a 500 eV plane wave cutoff. The electronic structure was evaluated with spin polarization and Fermi-Dirac thermal smearing\cite{58} with the electron temperature set to 0.1 eV. Monkhorst-Pack\cite{59} k-space meshes were used and grids for specific simulation cells are given in text. Including Grimme D3 dispersion corrections\cite{60} yielded similar water adsorption binding energies to calculations.
without dispersion corrections, so only results without dispersion corrections are reported. The self-consistent field accuracy threshold was set to $10^{-3}$ eV and optimizations of the ionic degrees of freedom were performed with a force-based accuracy threshold of $10^{-2}$ eV Å$^{-1}$.

**Bulk and surface structures.** We used the archived Materials Project calcium phosphate unit cell, which is triclinic (P1 space group) and contains four calcium atoms and four phosphate (HPO$_4$) molecules (28 atoms total). Lattice parameters at $T = 0$ K and $P = 0$ atm were determined by optimizing a simulation cell containing the unit cell using a $4 \times 4 \times 4$ k-space mesh. The optimized parameters are $a = 6.715$ Å, $b = 6.971$ Å, $c = 7.086$ Å, $\alpha = 75.72^\circ$, $\beta = 83.31^\circ$, and $\gamma = 88.2^\circ$, with the maximum deviation from the archived structure being $-2\%$ for lattice parameter $c$. This optimized unit cell was used as a starting point for all subsequent simulation cell constructions. Simulation cells containing crystal slabs with exposed surfaces were constructed using the generalized crystal-cutting method. Four crystal facets were considered, namely (001), (002), (100), and (101). Note that because the crystal is not centrosymmetric, the facets (ijk) and (ijF) are not equivalent. While a given slab has both (ijk) and (ijF) facets exposed, only the four facets listed above are considered in the water adsorption calculations. The crystal slabs were oriented so that the normal vector for the exposed crystal face was aligned in the $z$ direction and a 15 Å vacuum region was added along that same direction. The (001), (002), and (100) slabs were two unit cells thick along $z$ and a single unit cell wide in the two transverse dimensions, yielding 56 atoms in total. The smallest possible cell with an exposed (101) surface is twice as large as the primitive unit cell, so the corresponding (101) slab also contained 56 atoms. Atoms in the bottom half of the slab were held in fixed positions during all optimizations. Fixed-atom assignments were made on a molecular basis so that the HPO$_4$ molecular structure was either completely rigid or flexible. Calculations involving the slab simulation cells were performed with a $4 \times 4 \times 4$ k-space mesh and with dipole corrections applied in the $z$ direction.

**First principles thermodynamics.** Surface energies were computed from DFT energies for the optimized slab configurations and bulk crystal as

$$\gamma_{\text{Surface}}^{(ijk)} = \frac{E_{\text{Slab}}^{(ijk)} - N E_{\text{Bulk}}}{2A},$$

where $E_{\text{Slab}}^{(ijk)}$ is the energy of the slab with exposed (ijk) and (ijF) faces, $N$ is the number of unit cells in the slab, $E_{\text{Bulk}}$ is the energy of the bulk crystal unit cell without exposed surfaces, and $A$ is the transverse area of the slab simulation cell. The total binding energy for $N_{\text{H}_2\text{O}}$ Water molecules adsorbed on a particular calcium phosphate surface was computed as

$$E_{\text{Bind}}^{(ijk)} = E_{\text{Slab}+\text{H}_2\text{O}}^{(ijk)} - E_{\text{Slab}}^{(ijk)} - N_{\text{H}_2\text{O}} E_{\text{H}_2\text{O}},$$

where $E_{\text{Slab}+\text{H}_2\text{O}}^{(ijk)}$ is the energy for the slab with adsorbed water molecules and $E_{\text{H}_2\text{O}}$ is the energy for an isolated water molecule. Here, the energy $E_{\text{Slab}}^{(ijk)}$ for the slab without adsorbates is taken as the reference. The energy $E_{\text{H}_2\text{O}}$ was obtained for an optimized water molecule in a large $10^3$ Å$^3$ cell computed with dipole corrections in all three Cartesian directions. First-principles thermodynamics calculations were performed to extract the phase diagram for water sorption as a function of temperature and pressure. The Gibbs free energy can be obtained from the binding energy, a vibrational contribution $\Delta F_{\text{Vib}}$, and the change in chemical potential for water $\Delta \mu_{\text{H}_2\text{O}}(T, P_{\text{H}_2\text{O}})$ as

$$\Delta G^{(ijk)}(T, P_{\text{H}_2\text{O}}) = \frac{1}{2A}E_{\text{Bind}}^{(ijk)} + \Delta F_{\text{Vib}} - N_{\text{H}_2\text{O}} \Delta \mu_{\text{H}_2\text{O}}(T, P_{\text{H}_2\text{O}}).$$

The free energy depends on the temperature $T$ and the partial pressure for water $P_{\text{H}_2\text{O}}$. Vibrational contributions evaluated within the quasi-harmonic approximation were found to be very small (1 kcal mol$^{-1}$) even near the maximum at $T = 0$ K, so they were omitted in the calculation of $\Delta G^{(ijk)}(T, P_{\text{H}_2\text{O}})$. The $\Delta \mu_{\text{H}_2\text{O}}(T, P_{\text{H}_2\text{O}})$ represent the temperature and pressure dependent chemical potential term. Chemical potential of H$_2$O can be calculated as

$$\mu_{\text{H}_2\text{O}}(T, P_{\text{H}_2\text{O}}) = E_{\text{H}_2\text{O}}^{\text{pot}} + \Delta \mu_{\text{H}_2\text{O}}(T, P_{\text{H}_2\text{O}}),$$

which contains the DFT computed energy of an isolated H$_2$O molecule and chemical potential with temperature and pressure dependence (computation details can be found in refs$^{42,43}$).

**References**

1. Seo, J. & Han, H. Water diffusion studies in polyimide thin films. J. Appl. Polym. Sci. 82, 731–737 (2001).
2. Tan, N. C. B., Wu, W. L., Wallace, W. E. & Davis, G. T. Interface effects on moisture absorption in ultrathin polyimide films. J. Polym. Sci., Part B: Polym. Phys. 36, 155–162 (1998).
3. Chan, E. P., Young, A. P., Lee, J.-H., Chung, J. Y. & Stafford, C. M. Swelling of ultrathin crosslinked polyamide water desalination membranes. J. Appl. Polym. Sci., Part B: Polym. Phys. 51, 385–391 (2003).
4. George, S. C. & Thomas, S. Transport phenomena through polymeric systems. Prog. Polym. Sci. 26, 985–1017 (2001).
5. Tomczak, S., Marchant, D., Svejda, S., Minton, T. & Brunsvold, A. Properties and improved space survivability of poly(oligomeric silsesquioxane) polyimides. Technical Report, Air Force Research Laboratory (AFRL-2004).
6. Dupont.com. Kapton HN general-purpose polyimide film. http://www.dupont.com/products-and-services/membranes-films/polyimide-films/brands/kaptonpolyimide-film/products/kapton-hn.html Accessed: 2017-06-0 (2017).
7. Yang, D. K., Koros, W. J., Hopfenberg, H. B. & Stannett, V. T. Sorption and transport studies of water in kapton polyimide i. J. Appl. Polym. Sci. 30, 1035–1047 (1985).
8. Lim, B. S., Nowick, A. S., Lee, K.-W. & Viebeck, A. Sorption of water and organic solutes in polyimide films and its effects on dielectric properties. *J. Polym. Sci., Part B: Polym. Phys.* **31**, 545–555 (1993).

9. Nogueira, P. et al. Effect of water sorption on the structure and mechanical properties of an epoxy resin system. *J. Appl. Polym. Sci.* **80**, 71–80 (2001).

10. Hand, H., Arash, C., McNamara, D. & Mecklenburg, M. Effects of environmental exposure on adhesively bonded joints. *Int. J. Adhes. Adhes.* **11**, 15–33 (1991).

11. Mukbashar, A., Ashcroft, I., Critchlow, G. & Crocombe, A. Moisture absorption—desorption effects in adhesive joints. *Int. J. Adhes. Adhes.* **29**, 751–760 (2009).

12. Ken-Ichi, O. et al. Sorption and diffusion of water vapor in polyimide films. *J. Polym. Sci., Part B: Polym. Phys.* **30**, 1223–1231 (1992).

13. Williams, K. M., Smith, A. E., Huelskamp, M. A., K. P. Armstrong, J. L. B. & Lavine, J. M. Kapton®n investigations. *Technical Report, EG&G Mound Applied Technologies* (1990).

14. Han, H., Gryte, C. & Ree, M. Water diffusion and sorption in films of high-performance poly(4,4′-oxidi phenylene pyromellitimid): effects of humidity, illumination history and film thickness. *Polymer* **36**, 1663–1672 (1995).

15. Yang, D. K., Koros, W. J., Hopfenberg, H. B. & Stannett, V. T. The effects of morphology and hygrothermal aging on water sorption and transport in kapton®pyridine. *J. Appl. Polym. Sci.* **31**, 1619–1629 (1986).

16. Sharma, H. N., Harley, S. J., Sun, Y. & Glascoe, E. A. Dynamic triple-mode sorption and outgassing in materials. *Sci. Rep.* **7**, 2942 (2017).

17. Yong, H. H., Park, H. C., Kang, Y. S., Won, J. & Kim, W. N. Zeolite-filled polyimide membrane containing 2,4,6-triaminopyrimidine. *J. Membr. Sci.* **188**, 151–163 (2001).

18. Kwei, T. K. & Kunins, C. A. Polymer-filler interaction: Vapor sorption studies. *J. Appl. Polym. Sci.* **8**, 1483–1490 (1964).

19. Panda, A. et al. Manufacturing technology of composite materials—principles of modification of polymer composite materials technology based on polytetrafluoroethylene. *Materials* **10**, 377 (2017).

20. Sun, Y., Harley, S. J. & Glascoe, E. A. Modeling and uncertainty quantification of vapor sorption and diffusion in heterogeneous polymers. *ChemPhysChem* **16**, 3072–3083 (2015).

21. Krzyzak, A., Gaska, J. & Dudeba, B. Water absorption of thermoplastic matrix composites with polyamide 6. *Scientific Journals* **33**, 62–68 (2013).

22. Crank, J. & Park, G. S. Diffusion in polymers. (Academic Press, London; New York, 1968).

23. Crank, J. *The mathematics of diffusion* 2nd edn (Clarendon Press Oxford [England], 1975).

24. García-Zubiri, I., González-Gaitano, G. & Issai, S. Sorption models in cyclodextrin polymers: Langmuir, Freundlich, and a dual-mode approach. *J. Colloid Interface Sci.* **337**, 11–18 (2009).

25. Feng, H. Modeling of vapor sorption in glassy polymers using a new dual mode sorption model based on multilayer sorption theory. *Polymer* **48**, 2988–3002 (2007).

26. Guo, J. & Barbari, T. A. A dual mode, local equilibrium relaxation model for small molecule diffusion in a glassy polymer. *Macromolecules* **41**, 238–245 (2008).

27. Guo, J. & Barbari, T. A. Unified dual mode description of small molecule sorption and desorption kinetics in a glassy polymer. *Macromolecules* **42**, 5700–5708 (2009).

28. Placette, M. D., Fan, X., Zhao, J. H. & Edwards, D. A dual stage model of anomalous moisture diffusion and desorption in epoxy mold compounds. In Thermal, Mechanical and Multi-Physics Simulation and Experiments in Microelectronics and Microsystems (EuroSimE), 2011 12th International Conference on, 1/8–8/11 (2011).

29. Vieth, W. R., Howell, J. M. & Hirsch, J. H. Dual sorption theory. *J. Mem. Sci.* **1**, 177–220 (1976).

30. Barrer, R. Diffusivities in glassy polymers for the dual mode sorption model. *J. Membr. Sci.* **18**, 25–35 (1984).

31. Sun, Y., Tong, C., Harley, S. J. & Glascoe, E. A. Expeditious modeling of vapor transport and reactions in polymeric materials. *AIChE Journal* **63**, 4079–4089 (2017).

32. Musto, P., Galizia, M., Scherillo, G. & Menisitieri, G. Water Sorption Thermodynamics in Polymer Matrices, 13–45 (Springer Netherlands, Dordrecht, 2014).

33. Zimm, B. H. Simplified relation between thermodynamics and molecular distribution functions for a mixture. *J. Chem. Phys.* **21**, 934–935 (1953).

34. Zimm, B. H. & Lundberg, J. L. Sorption of vapors by high polymers. *J. Chem. Phys.* **60**, 524–428 (1956).

35. Sacher, E. & Susko, J. R. Water permeation of polymer films i. polyimide. *J. Appl. Polym. Sci.* **23**, 2355–2364 (1979).

36. Hussein, A., D Salim, R. & A Sultan, A. Water absorption and mechanical properties of high – density polyethylene/ egg shell composite. *Journal of Basrah Researches (Sciences)* **37** (2011).

37. Duan, Q. Y., Gupta, V. K. & Sorooshian, S. Shuffled complex evolution approach for effective and efficient global minimization. *J. Optim. Theory Appl.* **76**, 501–521 (1993).

38. Sharma, H., McLean, W., Maxwell, R. & Dinh, L. The moisture outgassing kinetics of a silica reinforced polydimethylsiloxane. *Chem. Phys.* **145**, 114905 (2016).

39. Dinh, L. et al. H2O outgassing from silica-filled polysiloxane TSS5. *J. Colloid Interface Sci.* **274**, 25–32 (2004).

40. Silverstein, K. A. T., Haymet, A. D. J. & Dill, K. A. The strength of hydrogen bonds in liquid water and around nonpolar solutes. *J. Am. Chem. Soc.* **122**, 8037–8041 (2000).

41. Protasik, I., Palkhov, E., Tertykh, V., Le, Z.-C. & Dong, W. A new route for preparation of hydrophobic silica nanoparticles using a mixture of (dimethylsiloxane) and diethyl carbonate. *Polymers* **10**, 116 (2018).

42. Sharma, H. N., Sharma, V., Mhadeshwar, A. B. & Ramprasad, R. Why Pt survives but Pd suffers from soil poisoning? *J. Phys. Chem. Lett.* **6**, 1140–1148 (2015).

43. HiddenIsochema. IGAsorp dynamic vapor sorption analyzer, http://www.hiddenisochema.com/our_products/instruments?id=12&type=igosorp (2016).

44. Harley, S. J., Glascoe, E. A. & Maxwell, R. E. Thermodynamic study on dynamic water vapor sorption in Sylgard-184. *J. Phys. Chem.* **B 116**, 14183–14190 (2012).

45. Harley, S. J., Glascoe, E. A., Lewicki, J. P. & Maxwell, R. S. Advances in modeling sorption and diffusion of moisture in porous reactive materials. *ChemPhysChem* **15**, 1809–1820 (2014).

46. SPI. Graduation dial drop indicator, http://www.swissprec.com/cgi/issrhm Accessed: 2018-06-06 (2018).

47. Sun, Y., Tong, C., Duan, Q., Buscheck, T. A. & Blink, J. A. Combining simulation and emulation for calibrating sequentially reactive transport systems. *Transp. Porous Media* **92**, 509–526 (2012).

48. Duan, Q., Sorooshian, S. & Gupta, V. Effective and efficient global optimization for conceptual rainfall-runoff models. *Water Resour. Res.* **28**, 1015–1031 (1992).

49. McKay, M. D., Beckman, R. J. & Conover, W. J. Comparison of three methods for selecting values of input variables in the analysis of output from a computer code. *Technometrics* **21**, 239–245 (1979).

50. The Mathworks, Inc., Natick, Massachusetts. MATLAB, MATLAB: High-Performance Numeric Computation and Visualization Software, (R2015a) (2015).

51. Hothenberg, P. & Kohn, W. Inhomogeneous electron gas. *Phys. Rev.* **136**, B864–B871 (1964).

52. Kohn, W. & Sham, L. J. Self-consistent equations including exchange and correlation effects. *Phys. Rev.* **140**, A1133–A1138 (1965).

53. Kresse, G. & Furthmüller, J. Efficient iterative schemes for ab initio total-energy calculations using a plane-wave basis set. *Phys. Rev. B* **54**, 11169–11186 (1996).
54. Kresse, G. & Furthmüller, J. Efficiency of ab-initio total energy calculations for metals and semiconductors using a plane-wave basis set. Comput. Mat. Sci. 6, 15–50 (1996).
55. Perdew, J. P., Burke, K. & Ernzerhof, M. Generalized gradient approximation made simple. Phys. Rev. Lett. 77, 3865–3868 (1996).
56. Blöchl, P. E. Projector augmented-wave method. Phys. Rev. B 50, 17953–17979 (1994).
57. Kresse, G. & Joubert, D. From ultrasoft pseudopotentials to the projector augmented-wave method. Phys. Rev. B 59, 1758–1775 (1999).
58. Mermin, N. D. Thermal properties of the inhomogeneous electron gas. Phys. Rev. 137, A1441–A1443 (1965).
59. Monkhorst, H. J. & Pack, J. D. Special points for Brillouin-zone integrations. Phys. Rev. B 13, 5188–5192 (1976).
60. Grimme, S., Antony, J., Ehrlich, S. & Krieg, H. A consistent and accurate ab initio parametrization of density functional dispersion correction DFT-D for the 94 elements H-Pu. J. Chem. Phys. 132, 154104 (2010).
61. Jain, A. et al. The Materials Project: A materials genome approach to accelerating materials innovation. APL. Materials 1, 011002 http://link.aip.org/link/AMPADS/v1/i1/p011002/s1&Agg=doi, https://doi.org/10.1063/1.4812323 (2013).
62. Koonblawd, M. P., Mathew, N., Jiang, S. & Sewell, T. D. A generalized crystal-cutting method for modeling arbitrarily oriented crystals in 3d periodic simulation cells with applications to crystal-crystal interfaces. Comput. Phys. Commun. 207, 232–242 (2016).
63. Makov, G. & Payne, M. C. Periodic boundary conditions in ab initio calculations. Phys. Rev. B 51, 4014–4022 (1995).
64. Zhu, H., Tang, C. & Ramprasad, R. Phase equilibria at Si-HfO2 and Pt-HfO2 interfaces from first principles thermodynamics. Phys. Rev. B 82, 235413 (2010).
65. Momma, K. & Izumi, F. VESTA3 for three-dimensional visualization of crystal, volumetric and morphology data. J. Appl. Crystallogr. 44, 1272–1276 (2011).

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Author Contributions
E.A.G. designed the study. E.A.G. and H.N.S. designed the experiments. H.N.S conducted experiments and performed parameter optimization and simulations and Y.S. developed models along with coding. M.P.K performed the atomistic calculations and M.P.K. and H.N.S. analyzed the results. All authors reviewed the manuscript.

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