XML Matchers: approaches and challenges

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Abstract

Schema Matching, i.e. the process of discovering semantic correspondences between concepts adopted in different data source schemas, has been a key topic in Database and Artificial Intelligence research areas for many years. In the past, it was largely investigated especially for classical database models (e.g., E/R schemas, relational databases, etc.). However, in the latest years, the widespread adoption of XML in the most disparate application fields pushed a growing number of researchers to design XML-specific Schema Matching approaches, called XML Matchers, aiming at finding semantic matchings between concepts defined in DTDs and XSDs. XML Matchers do not just take well-known techniques originally designed for other data models and apply them on DTDs/XSDs, but they exploit specific XML features (e.g., the hierarchical structure of a DTD/XSD) to improve the performance of the Schema Matching process. The design of XML Matchers is currently a well-established research area. The main goal of this paper is to provide a detailed description and classification of XML Matchers. We first describe to what extent the specificities of DTDs/XSDs impact on the Schema Matching task. Then we introduce a template, called XML Matcher Template, that describes the main components of an XML Matcher, their role and behavior. We illustrate how each of these components has been implemented in some popular XML Matchers. We consider our XML Matcher Template as the baseline for objectively comparing approaches that, at first glance, might appear as unrelated. The introduction of this template can be useful in the design of future XML Matchers. Finally, we analyze commercial tools implementing XML Matchers and introduce two challenging issues strictly related to this topic, namely XML source clustering and uncertainty management in XML Matchers.

Keywords: Schema Matching, DTD, XML Schema, XSD, XML source clustering, Uncertainty management in XML Matchers

1. Introduction

The eXtensible Markup Language (XML) has emerged as a de-facto standard for the representation and the exchange of data in a wide range of scenarios \cite{11, 25, 62}.

As an example, XML has been widely adopted in many scientific domains, like biology \cite{52}, chemistry \cite{71} and geography/geology \cite{21}, to name a few. In the context of e-commerce, many Web sites use XML as a tool to encode their catalogue of products, as well as to represent business documents, like invoices or orders.

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To make data exchange easier, organizations like the World Wide Web Consortium (W3C) are increasingly committed
to the definition of advanced languages to describe the structure and content of an XML data source. One of the
first languages was XML DTD (Document Type Definition) \[34\]. Later, W3C developed a more complex language
called XSD (XML Schema Definition), also known as WXS (W3C Schema Definition), in order to overcome some
limitations of DTD \[101\].

These languages are used to build a schema, i.e. a collection of metadata called schema components or schema
elements. A schema specifies a set of rules an XML document must obey in order to be considered valid according to
the schema itself. The availability of a schema significantly simplifies data exchange procedures \[25\]. For instance,
there exist simple software programs that can check if a given document satisfies the constraints imposed by a given
schema, and, in the positive case, allow for seamless data exchange among the interested parties.

Despite the presence of powerful languages like DTD/XSD, the achievement of the full interoperability among ap-
lications based on XML data is often illusory. DTDs/XSDs, in fact, provide self-describing capabilities, i.e. they
allow designers to define names for elements and attributes. However, the widespread assumption that these names
denote some intrinsic semantics can be false; therefore, it is not sufficient to look at element/attribute names to catch
the content of an XML document \[35, 99\].

An indefeasible precondition to achieve interoperability consists of detecting and identifying if two or more schema
elements convey the same semantics, despite, for instance, they have different names.

The task of finding pairs (or groups) of elements sharing the same semantics has a long tradition in Computer Science:
In Database and Artificial Intelligence literature such a problem is known as Schema Matching \[85\], whereas in the
Semantic Web community it is known as Ontology Alignment \[35\] or Ontology Matching \[39\]. The vast majority
of these approaches was reviewed in books or surveys \[9, 10, 35, 39, 85\]. However, most of them do not make any
specific assumption on the data model and format used to represent Schemas/Ontologies. Most of them have been
originally designed to work on some data models (e.g., E/R diagrams) but, subsequently, have been applied and tested
on DTD/XSD.

However, in the latest decade, a growing number of researchers focused on the specificities of DTD/XSD and consid-
ered them in the design of new, ad-hoc, Schema Matching approaches. We call XML Matchers these approaches.

DTDs/XSDs offer advanced capabilities and features that are not present in other data models. The usage of these fea-
tures is far from trivial, but it can have a positive impact in the design of an XML Matcher. By now, Schema Matching
of XML sources is a mature and well-established research area in which several and authoritative contributions have
been provided.

The goal of this survey is to offer a comprehensive coverage of XML-specific Schema Matching, regarded as a narrow
sub-area of Schema Matching.

The main contributions of this paper are as follows:

1. We describe to what extent the specificities of DTD/XSD impact on the Schema Matching process. We show
   that the hierarchical features of DTD/XSD open up new research problems that do not emerge, for instance, in
   the matching of E/R diagrams or relational schemas.
2. We provide a template, called XML Matcher Template, describing the main components of an XML Matcher,
   as well as their role and behavior. We discuss how each of these components has been implemented in some
   popular XML Matchers. This helps us to better describe how XML Matchers work in practice. Our template
   acts as a tool for highlighting and understanding commonalities among XML Matchers that, at a first glance,
   could appear as totally unrelated. It can act as a baseline for future work allowing research on this topic to make
   progress at a faster pace.
3. We discuss some commercial prototypes designed to find matchings between DTDs/XSDs and we use our XML
   Matcher template to classify them.

\[1\] For instance, the fact that DTD does not support namespaces and that data type management provided by it is weak and can be applied only to attributes.
4. We discuss two challenges strictly related to XML-specific Schema Matching, namely XML source clustering and uncertainty management in XML Matchers.

This paper is structured as follows: In Section 2 we review related surveys on Schema Matching/Ontology Matching with the aim of showing the main novelties brought in by this work. In Section 3 we summarize the basic notions and definitions about Schema Matching. Our XML Matcher Template is presented in Section 4 whereas Section 5 provides a framework to systematically classify XML-specific Schema Matching approaches. In Section 6 we provide an overview of commercial XML Matchers. In Section 7 we examine two important challenges related to XML Matcher research, namely XML source clustering and uncertainty management in XML Matchers. In Section 8 we discuss the main lessons learned from our analysis. Finally, in Section 9 we draw our conclusions.

2. Related work

Schema Matching techniques have been studied in a large variety of application contexts, like data integration, e-commerce, Data Warehousing, distributed query answering, to name a few [9, 85].

Up to 2001, Schema Matching was considered as an issue functional to a specific application domain. Such a vision was overturned by Rahm and Bernstein [85]. They analyzed existing literature and recognized relevant similarities among techniques which were originally designed to work in different application domains. As a consequence, they suggested to consider Schema Matching as a new research problem which was interesting per se, independently of a particular application domain. The classification criteria illustrated in [85] were (and still are) warmly welcomed by researchers working in the Schema Matching field, and they have been largely exploited to categorize existing approaches.

An update of the work presented in [85] is proposed in [10]. In that paper the authors report the main developments in Schema Matching algorithms in the decade 2001-11 and suggest a list of open research problems and current research directions in the Schema Matching field.

A further, excellent survey on Schema Matching can be found in the book edited by Bellahsene et al. [9]. However, the topics discussed therein differ from the material covered in this survey; in fact, a relevant part of the material in that work focuses on the usage of semantic matchings to perform schema evolution and schema merging; this topic is not considered in this survey. In addition, some chapters are devoted to describe the metrics adopted for experimentally assessing the performance of a Matcher as well as the strategies to tune a Matcher in such a way as to optimize its efficiency or the quality of discovered matchings. Due to space limitations, we do not discuss these problems in this survey, even if most of them are still valid in the context of XML-specific Schema Matching. This survey introduces several novelties with respect to the book by Bellahsene et al. [9]. First, it focuses on DTDs/XSDs and it shows how some specificities of the XML data model can be exploited in the design of a matcher. Second, it describes how some recent results in the area of XML Matchers can be used in innovative and emerging applications in the broad area of Data Management. In particular, it focuses on the task of clustering schemas, i.e., on automatically grouping heterogeneous DTDs/XSDs. Schema clustering is of the utmost relevance at the Web scale because the number, size and complexity of available data sources are typically huge and, therefore, it is impractical to manually (or semi-automatically) classify schemas into pre-defined domains. Schema clustering techniques allow data sources on the Web to be organized into homogeneous groups; after this task, it is possible to adopt existing approaches to integrate the schemas belonging to same group. This yields practical advantages: for instance, once a user submits a query $q$, it is possible to rank available domains on the basis of their relevance to $q$. In this way, it is possible to achieve a twofold benefit: the answers a user get back are more precise (because only those data sources which are likely to generate sound and correct results are selected), and the time required for processing queries is reduced (because irrelevant data sources are not contacted).

In the context of Semantic Web, Ehrig [35] focused on the problem of Ontology Alignment/Ontology Matching (which strongly resembles the Schema Matching problem) and depicted the process of aligning ontologies as a six-step process.
Ontology Matching (as well as its relationship with Schema Matching) has been also reviewed in [89] and in the subsequent book [39]. A very recent update on the state-of-the-art in Ontology Matching can be found in [90]. Ontology matching differs from the matching of E/R and relational schemas. Indeed, first ontologies provide a high flexibility level because they offer a large number of primitives (e.g., cardinality constraints, disjoint classes, hierarchical organization of concepts, and so on) not available in E/R and relational schemas. Secondly, an E/R (relational) schema is usually designed for modeling a specific piece of reality and, in general, it is hard to re-use an existing E/R (resp., relational) schema in other contexts; by contrast, ontologies are by definition reusable and sharable. Finally, the design of an E/R (resp., relational) schema is generally delegated to human experts who generally share the same vocabulary. Instead, the design of an ontology is becoming more and more a decentralized effort in which multiple independent contributors are in charge of designing and populating the ontology itself. From this discussion it emerges that the task of matching DTDs/XSDs lies between the matching of E/R (resp., relational) schemas and that of ontologies: as in the ontology matching, the hierarchical structure of DTDs/XSDs can convey semantics (see Section 4) and can be advantageously used in matching discovery. A big difference between the matching of DTDs/XSDs and that of ontologies is that the latter can be defined as a set of logical axioms useful to define the semantics of data; this information is not available in the matching of DTDs/XSDs.

A novel, definitely relevant, trend in Schema Matching research regards the problem of managing uncertainty in Schema Matching process [43]. An excellent review of uncertainty in Schema Matching is proposed by Gal [43]. In this book, the author presents a framework to classify the various aspects of uncertainty. The book provides also several alternative representations of Schema Matching uncertainty and discusses in depth some strategies that have been recently proposed to deal with this issue.

Our work focuses on a narrow sub-area of Schema Matching, namely Schema Matching of XML sources. As far as this sub-area is concerned, it significantly extends published surveys. In particular, the main contributions of our survey can be summarized as follows:

1. Most of the existing work is agnostic of the data model. By contrast, our survey focuses on XML-specific Schema Matching techniques. We do not consider well-known techniques that have been developed for some data models and have been subsequently reused on XML, but we discuss in detail the specificities of DTD/XSD and how they influence the Schema Matching problem (see Section 4).
2. We discuss in detail potential application fields benefiting from XML-specific Schema Matching. Due to the widespread adoption of XML in the business domain, we pay a special attention to commercial applications.
3. We discuss the problem of uncertainty management in the context of XML-specific Schema Matching. In fact, we recognize the enormous impact that uncertainty can have in a wide range of real-world applications based on Schema Matching. While significant research efforts have been done in the field of uncertainty management, there are very few approaches dealing with uncertainty in XML-specific Schema Matching.

3. Schema Matching algorithms

3.1. Basic aspects of Schema Matching algorithms

Schema Matching aims at finding relationships between elements of two schemas [85]. In the Semantic Web literature, the Schema Matching problem is also known as Ontology Alignment or Ontology Matching. We refer the reader to [89] for a deep discussion about the main differences between the Schema Matching and the Ontology Alignment problems.

A schema is a structure encoded in a formal language that describes a piece of reality; examples of schemas are relational schemas, E/R diagrams, Ontologies, DTD, XSD, and so on. The schema describing a data source is often known as the intensional component of that data source, whereas the set of instances associated with it is called exten- sional component. A schema generally consists of a set of entities (called schema elements or schema components), representing real-world objects, a set of relationships, specifying connections among schema elements, and a set of constraints. In the following we will denote as $E(S)$ the set of schema elements associated with a schema $S$. For
instance, in case of a relational database, $\mathcal{E}(S)$ coincides with a set of tables, whereas, in case of XSD, $\mathcal{E}(S)$ is the set of elements, attributes and complex types in $S$.

The relationships derived by the Schema Matching process are often known as semantic matchings or, equivalently, as mappings \([89]\) or interschema properties \([7, 76]\). An algorithm designed to find semantic matchings is often called, in short, Matcher \([85]\).

A more formal definition of semantic matching is given in \([89]\). We report it below:

**Definition 1.** (Semantic Matching). Given two Schemas $S_1$ and $S_2$, a semantic matching is a tuple $\langle id, u, v, \bar{r}, \bar{c} \rangle$ where: (i) $id$ is the identifier of the semantic matching; (ii) $u$ and $v$ are two schema elements belonging to $S_1$ and $S_2$, respectively; (iii) $\bar{r}$ is a confidence measure (generally ranging in the $[0,1]$ real interval) stating the strength of the relationship between $u$ and $v$ and (iv) $\bar{c}$ is a relation holding between $u$ and $v$.

The most common specifications of $\bar{r}$ are synonymy, homonymy, hyperonymy and hyperonymy. In detail, given two elements $u \in S_1$ and $v \in S_2$ we say that:

- $u$ and $v$ are synonyms if they have the same meaning, even if they could have different names;
- $u$ and $v$ are homonyms if they have different meanings, even if they have the same name;
- $u$ is a hypernym of $v$ (which, in its turn, is a hypernym of $u$) if $u$ has a more specific meaning than $v$ (e.g., $u$ may be the element “PhD student” whereas $v$ may be the element “student”).

As pointed out in Section \([2]\) one of the first attempts to classify Schema Matching approaches was proposed in \([85]\). Here, we summarize some of the classification criteria introduced therein.

### 3.1.1. Schema-level Matchers vs. instance-level Matchers

**Schema-level Matchers** assume that each available data source is provided with a schema representing it \([85, 89]\). The schema of a data source represents a rich body of information, useful to carry out matching activities. For instance, a schema allows for the extraction of the name of its elements, of their data types and of some of their constraints (e.g., cardinality constraints).

**Instance-level Matchers** analyze the extensional component of a data source to infer semantic matchings. They are generally very accurate because they look at the actual content of the involved sources. However, they are computationally expensive since the amount of data they need to process can be large. Strictly related to instance-level matchers, matching-related approaches for XML documents have been largely investigated in the literature. Indeed, this problem has attracted the interest of many researchers mainly in the areas of Database Systems and Information Retrieval \([5, 13, 20, 22, 41, 75, 98, 102]\). A graphical classification of these approaches is reported in Figure \([1]\). In the following, we overview the key ideas and concepts underlying each of these main approach categories.

**Tree matching approaches** \([17, 22, 75]\) model XML documents as labeled trees. Often, they use dynamic programming techniques to find the distance of two trees. In particular, the main idea of these approaches is that the distance of two trees coincides with the minimum number of operations (called edit operations) capable of transforming the former tree into the latter one. **Edge matching approaches** \([5, 20]\) require to transform XML documents into directed graphs and to compute the similarity of two documents based on their common edges. **Path matching approaches** \([13, 83]\) model an XML document as a set of paths, each starting from the root of the document and ending in a leaf node; therefore, the similarity between two XML documents can be computed based on the sets of paths associated with them. **Vector based approaches** \([98, 102]\) suggest to map XML documents onto vectors of an abstract n-dimensional feature space and to compute the matching between two documents as a suitable distance between the corresponding vectors.

In real scenarios, instance-level Matchers are often used, along with schema-level ones, to filter out false matchings and to learn similarities among schema elements on the basis of the similarity degrees of the corresponding instances. Matchers adopting this strategy are known as hybrid Matchers \([57, 83]\). The overall result is an increase of the accuracy of discovered matchings. However, as in the case of pure instance-level Matchers, the amount of data to
3.1.2. Simple Matchers vs. complex Matchers

Matchers can be also classified on the basis of the cardinalities of the matchings they are able to find [85]. To better illustrate this concept, let us consider two schemas $S_1$ and $S_2$. The following kinds of Matchers can be defined:

- **Simple Matchers or 1:1 Matchers.** They aim at finding pairs of elements $\langle u, v \rangle$ such that $u \in S_1$, $v \in S_2$ and a semantic matching exists between them. Most of these approaches derive synonymies, but some of them consider also hyponymies/hyperonymies [26, 44].

- **Complex Matchers or m:n Matchers.** They find pairs of the form $\langle G_1, G_2 \rangle$, being $G_1$ and $G_2$ two groups of elements extracted from $S_1$ and $S_2$, respectively. For instance, $G_1$ could be an element “address”, whereas $G_2$ could be a pair of elements (“street”, “zip”). Such a matching indicates that the group of elements “street” and “zip” of $S_2$ is semantically similar to the element “address” of $S_1$. Complex Matchers are also known as sub-schema similarities [23].

Most of Schema Matching algorithms return only 1:1 matchings [29, 31, 48]. However, there are few examples of systems capable of handling complex matchings, such as iMAP [28], DCM [50], INDIGO [53] and XIKE [23]. In iMAP the computation of complex matchings is seen as a search problem, and a set of searchers is used to explore the space of all the possible groups of schema elements candidate to form a complex matching. In order to reduce the computational complexity, the search space is pruned by taking domain knowledge into account.

DCM hypothesizes the presence, for each application domain, of a hidden schema which acts as a unified generative model describing how schemas are generated from a finite vocabulary. INDIGO uses a variety of techniques, like linguistic Matchers and the WHIRL algorithm [18], a k-nearest neighbor classifier developed in the context of text classification. XIKE will be extensively discussed in the next sections because it has been explicitly designed to deal with XSD.

Matchers often use algorithms from Natural Language Processing to carry out a pre-processing step [48, 65]. For instance, some popular pre-processing activities are tokenization (i.e., the names of the entities are parsed, and symbols like punctuation, blank characters or digits are detected), elimination (i.e., some tokens, like prepositions or articles, are filtered out), and stemming (i.e., derived or inflected words are reduced to their stem, or root).

Most of the existing Matchers rely on the use of external knowledge bases. The simplest examples of these knowledge bases are dictionaries or thesauri. A popular thesaurus is WordNet, a lexical database for English language developed at the University of Princeton [69]. WordNet groups English words into sets of synonyms (called synsets) and, then, provides a plenty of facilities for Schema Matching purposes. WordNet has been used in the S-Match system [48, 81] as a background knowledge source to return semantic relationships between element names. Other approaches suggest to use Wikipedia as an alternative or in combination with WordNet. Knowledge bases like Wikipedia attracted the interest of researchers investigating the management of data sources from an instance-level perspective [96]. For instance, [79] uses Wikipedia for computing semantic relatedness and, on some datasets, the results achieved by means of Wikipedia are more precise than those obtained by means of WordNet; other approaches [12] show the effectiveness of Wikipedia in word sense disambiguation. Wikipedia has been coupled with WordNet in the context...
of YAGO (Yet Another Great Ontology) ontology [95]. Yago contains more than 1 millions entities and 5 millions facts: entities represent, for instance, people, organizations, products, and so on, whereas facts link entities (e.g., a fact could be “Albert Einstein won the Nobel Prize”). Facts are automatically extracted from Wikipedia which offers quite an extensive coverage of human knowledge. Wikipedia supplies also some category pages to organize facts and entities into a hierarchy, but, as observed in [95], such a hierarchy is rather imprecise and, therefore, it is barely useful for ontological purposes. WordNet provides a rich and clean hierarchy consisting of thousands of concepts. Yago solves the non-trivial task of creating a link between WordNet concepts and entities/facts in Wikipedia. The result is a knowledge-base which significantly extends WordNet in quantity (because it increases the number of facts managed by WordNet by more than one magnitude order) and in quality (because it adds knowledge about individuals/organizations by specifying their semantic relationships).

A new research direction in Schema Matching field focuses on the design of Matchers capable of handling large schemas in an efficient fashion without sacrificing the accuracy of the matching process. A further, promising research avenue aims at exploring how user feedbacks can be exploited to improve the accuracy of the matching process. In the next subsections we discuss the corresponding techniques.

3.2. Efficient computation of semantic matching

Large size schemas are becoming more and more frequent especially in the business domain [30, 84, 86]. This implies that the size of the space of potential matchings to explore significantly grows. This poses relevant computational challenges and may negatively impact on the accuracy of a Matcher [30]. Therefore, it is not surprising that several authors were involved in designing efficient Matchers capable of handling large schemas. Some of these approaches rely on the idea of filtering out all the pairs of elements which are not likely to form a matching [36]. Other ones (called partition-based) use a divide et impera strategy to perform matching. In these approaches, a schema or an ontology is fragmented into smaller portions and a Matcher is recursively applied on each of these partitions. Partitioning provides the chance of parallelizing Schema Matching tasks. A relevant example of partition-based approaches is the COMA++ system [30].

More recently, some authors [84] borrowed ideas from the entity resolution research field to reduce the size of the search space of potential matchings. For this purpose, they suggest to cluster some selected attributes; such a procedure is called blocking [37]. Some authors proposed to use the MapReduce framework to perform blocking [60]; for instance, a prototype, called Dedoop (Deduplication with Hadoop), was implemented to perform entity resolution in large datasets [61].

3.3. Incorporating user behavior analysis in Schema Matching

Some recent approaches propose to incorporate information describing user behaviors in the computation of semantic matchings. These approaches assume that users interact with a group of information systems by submitting queries over time to search for information of their interest. User queries can be analyzed to find groups of frequent attributes. The main assumption behind these approaches is that if two or more attributes frequently co-occur in user queries then they are likely to form a semantic matching.

The first approach belonging to this category was proposed in [38]. It aims at finding pairs/groups of attributes which frequently co-occur in user queries. Further features are also considered to establish the strength of the association between two or more attributes (e.g., how frequently they co-occur in joins or as arguments of aggregate functions). Several scoring functions are implemented to assess the similarity score of a pair (resp., group) of attributes. Finally, a genetic algorithm is exploited to find the groups of attributes having the highest similarity scores.

The approach of [38] works on relational databases. An extension of it to the Web scenario is proposed in the HAMSTER system [72], which analyzes the query log of a search engine to discover mappings between the concepts of two schemas.
The approaches of this category are quite interesting because the analysis of user behaviors can highlight forms of correlations between elements of different schemas which cannot be revealed by traditional Schema Matching techniques.

A further advantage is that, in some cases, no knowledge of the intensional component of a data source is available and, at the same time, the knowledge of the extensional component could be partial or of bad quality. These facts could make the final quality of the matching process poor. In this case the analysis of user behaviors in accessing these data sources could be precious to better understand the corresponding structure and, ultimately, to derive semantic matchings.

A main problem of these approaches is that they require data about user past behaviors. In many cases these data are not available since they are handled by search providers and, due to privacy and commercial limitations, they cannot be disclosed. A further problem is that the approaches belonging to this category are biased by search terms frequently exploited by users. In fact, if a term is adopted in many user queries, then a large body of information on it is available, and this helps to find semantic matching. By contrast, if a term is rarely used, the corresponding available information is poor, and this could have a negative impact on the results of the matching activity.

4. The role of DTD and XSD in XML Matchers

In this section we describe to what extent the specificities of DTD/XSD impact on the Schema Matching process. Throughout the paper, for sake of simplicity, when we say “a DTD” (resp., “an XSD”) we mean the intensional component of an XML data source encoded by means of the DTD (resp., XSD) language. Similarly, when we say “matching of two DTDs (resp., XSDs)” we mean the matching of the intensional components of two XML data sources encoded by means of the DTD (resp., XSD) language.

In the following subsections we discuss how the features of DTDs/XSDs may impact on the semantics of schemas encoded by means of these languages (Section 4.1). After that, we show that XSD offers some advanced features not present in DTD. These features can provide further insights to find semantic matchings, but their usage is far from trivial. In detail, we first discuss how to use constraints on data types (Section 4.2), and, then, constraints on cardinalities (Section 4.3). Finally, we focus on the practice of reusing XSDs, or part of them (Section 4.4).

4.1. Specificities of DTDs/XSDs in XML Matching

Almost all the approaches described and classified in Section 3 do not prescribe a specific data model. In most cases, these approaches handle database schemas encoded in a generic data model (e.g., a pair of E/R diagrams [68, 76], an XSD and a relational schema [68], and so on) and convert them into an internal model (e.g., a graph or an object-oriented schema) which is, then, used to derive semantic matchings.

However, the features of the data model adopted to design a database may have a great impact on the semantics embedded in the corresponding schema and, consequently, on the derivation of semantic matchings.

This means that we could use, for instance, E/R diagrams and DTDs/XSDs to represent the same piece of reality, but we may expect that the semantics captured by E/R diagrams may differ from that encoded in DTDs/XSDs, and vice versa.

To better point out this fact, we consider a running example that we will use throughout this section. It deals with a University Library.

Example 4.1. Let us consider a simple University Library. Users are University Students, Professors, University Staff and Foreign Visitors. The Library offers several types of publications, like Books, Articles (i.e., publications on scientific journals), Papers (i.e., publications on conference proceedings), Abstracts, Government Publication, and so on. In this library, there are different types of employees, with different kinds of qualification (secretary, stock manager, shelver, and so on). Assume we want to model only book authorship relationship. We use an E/R diagram
and, then, an XSD. The E/R diagram describing the authorship relationship is reported in Figure 2. It shows two entities, namely Book and Author, joined by the relationship Writes.

![E/R diagram](image)

Figure 2: The E/R diagram describing Book(s) and Author(s).

There are different options to translate this diagram into an XSD [78]. A first one requires the mapping of the entities Book and Author onto two elements of an XSD and the introduction of a father/child relationship between them. In particular, Author (resp., Book) can be set as the father element and Book (resp., Author) as the child one. To graphically represent the obtained XSD, we will use a tree-based diagram in which each schema element corresponds to a node, whereas an edge links an element with one of its sub-elements. The tree diagram representing the first (resp., second) translation option is reported in Figure 3(A) (resp., Figure 3(B)). Another option, which is graphically reported in Figure 3(C), prescribes the introduction of a third element Writes. In this case, we need to use the KEYREF construct between the attributes of Writes and the key attributes of Book and Author. Each of these alternatives reflects the personal standpoint of a human designer. In practical cases, the best option among the available alternatives is usually the one avoiding redundancies [78].

![Three XSDs](image)

Figure 3: Three XSDs describing Books and Authors.

On the other hand, it is straightforward to observe that also the translation from XSDs to other data models, like E/R diagrams, relational schemas or object-oriented data models, incurs in some difficulties. As previously pointed out, this depends on the fact that XSD (as well as DTD) provides some features not present in E/R diagrams and in object-oriented data models. DTD and XSD, in fact, allow for a hierarchical organization of information, and this feature is not present in E/R diagrams or relational schemas. In addition, the sibling order is a main XML specification; this implies that the order at which a child of an element occurs is relevant. This characteristic is missing in E/R, relational and object oriented data models.

These features may have a huge impact on the performance of a Matcher: For instance, the role of the hierarchical structure of a DTD in conveying semantics was investigated in the LSD system [31]. Here, the DTDs to match are considered in conjunction with the associated documents. In particular, an XML document is serialized, i.e. it is mapped onto a list of pairs of the form (tag_name, content), where tag_name specifies the name of an element and content specifies its value. To better clarify this concept, let us consider, again, Example 4.1 and, in particular, an element employee having name, surname and phone as attributes.

Let us consider an instance of this element:

```xml
<employee>
  <name> John </name>
  <surname> Smith </surname>
  <phone> (001) 514 201 </phone>
</employee>
```

Analogous considerations would hold if the selected data model was DTD, instead of XSD.
| Type 1     | Type 2     | Compatibility Degree |
|-----------|-----------|----------------------|
| string    | string    | 1.0                  |
| string    | decimal   | 0.2                  |
| decimal   | float     | 0.8                  |
| float     | float     | 1.0                  |
| float     | integer   | 0.8                  |
| integer   | short     | 0.8                  |

Table 1: A table to check data type compatibility.

This fragment is converted in the list:

\[(\text{Name}, \text{John}), (\text{Surname}, \text{Smith}), (\text{Phone}, (001) 514 201)\]

Serialization leads to make the hierarchical structure of an XML document not explicit.

Experiments show that the serialization of an XML document may increase the number of false negatives, and this negatively impacts on the accuracy of the corresponding Matchers. In order to overcome this drawback, LSD explores also a more refined encoding of an XML document which considers the nesting level of each data instance and yields a meaningful reduction of the number of false negatives (and, then, an increase of the Matcher’s accuracy). The case examined above, in the whole, highlights that the hierarchical structure of a DTD is somewhat related to its semantics, and it has to be properly considered in the design of a Matcher.

In line with the findings of LSD, Gal et al. [44, 70] studied how to use the structural information provided by a specific data model (like HTML or XML) to improve the accuracy of Schema Matching process. In particular, they propose to exploit derived matchings to help users in seeking information of their interest. This is a nice application of Schema Matching in the context of Information Retrieval [70]. In detail, in [70], the hierarchical structure of a group of HTML pages is analyzed to extract an ontology which is, subsequently, exploited to refine user queries and, then, to identify pages of interest for the users.

A further, relevant contribution is discussed in [44]. In this paper, the authors show that structural information is useful to identify links among concepts present, for instance, in an XML/HTML document, and this information could be considered in the Schema Matching process. The approach of [44] was applied to find matchings between pairs of Web sources which were then exploited to help users in the search of information on the Web. Experiments carried out in real-life scenarios (like car rental or airline Web sites) showed that semantic matchings were effective in enhancing the precision of Web search. This is a further confirmation that structural information provides a valuable contribution to the Schema Matching process.

4.2. Constraints on data types

Both DTD and XSD provide a rich set of primitive and built-in data types. For instance, XSD offers 43 built-in simple types, like string, integer, float, boolean, time and date, which can be used for declaring elements and attributes [101].

The compatibility of the data types associated with two elements is a useful indicator to assess whether the last ones actually form a semantic matching or not. Constraints on data types can be hard (if they cannot be violated in any case) or soft (if they can be relaxed). For instance, a hard constraint could specify that a date cannot be converted into a real, whereas a soft constraint could specify that an integer can be converted into a long in some cases. Constraints on data types are relevant to detect false positives: Given a pair of schema elements \( u \) and \( v \), we can conclude that they do not form a semantic matching if there is a hard constraint stating that the data type of \( u \) cannot match with the one of \( v \). The reasoning above shows that constraints on data types are straightforward to manage if the involved types are primitive or, more in general, if they can be solved by means of compatibility tables [2, 25, 55]. An example of compatibility table is reported in Table 1.

The first and second column of Table 1 reports two data type (like float or string), whereas the third column reports the corresponding compatibility degree. This last coefficient ranges from 0 to 1, and the higher its value the higher the level of compatibility of the corresponding data types.
Even simple types defined by users can be easily managed, because they can be usually associated with a built-in simple type.

The management of data types becomes much harder in case of XSD. In fact, this data model allows human designers to define their own data types (called complex types) by assembling simple elements and/or attributes.

Furthermore, designers are allowed to create new data types starting from an existing one (called base type). Such a process implicitly induces a relationship between a base type and the new types derived from it. For instance, a designer may declare a complex type by extending an already existing one by means of the <xs:extension> construct. In this way, a derived complex type contains all the elements of the base type plus additional ones, specific of the new type. Such a construct can be, therefore, intended as a generalization. In an analogous fashion, a designer may set some restrictions on an base type, and this means that the values associated with a derived type are a subset of the ones that can be assumed by the base type. In this way, the <xs:restriction> construct can be used to implement a specialization relationship. Finally, the two constructors <xs:sequence> and <xs:all> implement the concept of aggregation, i.e. they specify that a complex type consists of many sub-elements or, equivalently, that each sub-element is part of the complex type. If the <xs:sequence> construct is adopted, sub-elements must appear in the same order as they have been declared. Vice versa, if <xs:all> is used, sub-elements may appear in any order.

The constructs outlined above contribute to specifying the semantics of an element of an XSD in relation to the one of some already defined elements and, therefore, can be exploited by a Matcher.

By contrast, the complexity underlying the management of compatibility between complex types is, in principle, unlimited. In fact, a designer can decide to repeatedly assembling simple elements, attributes and already defined complex elements, to construct complicated complex elements. In such a case, the matching of two complex elements can become as much hard as the matching of two XSDs [86].

4.3. Constraints on cardinalities

A further constraint regards the cardinality associated with the instance of an element in a document.

In case of DTD, a quantifier is used to specify the number of occurrences of an element. Allowed quantifiers are: + (indicating that there must be one or more occurrences of the element), * (denoting that zero or more occurrences are allowed), ? (indicating that no more than one occurrence is allowed), and None.

Analogously to data type compatibility, it is possible to check whether the cardinalities of two schema elements differ or not and, if the differences are irreconcilable, the corresponding candidate matchings can be discarded. Cardinality constraints can be managed by means of suitable tables [62, 100]. An example of this table (originally proposed in [62]) is that reported in Table 2.

|    | + | * | ? | None |
|----|---|---|---|------|
| +  | 1 | 0.9 | 0.7 | 0.7  |
| *  | 0.9 | 1 | 0.3 | 0.7  |
| ?  | 0.7 | 0.7 | 1 | 0.8  |
| None | 0.7 | 0.7 | 0.8 | 1 |

Table 2: A table to check data cardinality constraints.

In XSD, the cardinalities of elements are declared by means of the attributes minOccurs and maxOccurs, and this information can be used in the semantic matching discovery. Nayak and Tran [74] adapted the different methods for handling cardinalities in DTD/XSD; the conversion schemas proposed by them is reported in Table 3.

4.4. Reuse of Schema Elements

XSD offers several methods for reusing already defined schema elements. In the following we focus on shared components and distributed name spaces, and we illustrate their impact on Schema Matching.
Table 3: Equivalence table between cardinality constraints in DTD/XSD.

As for shared components, we observe that in XSD an element is called global if it is defined as child of the schema root element. Global elements are the only ones that can be referenced, and, therefore, they can be reused in the definition of new data types. To clarify this concept, let us consider, again, the University Library scenario described in Example 4.1.

**Example 4.2.** Suppose that in the University Library there are (at least) three kinds of item, namely Book(s), Article(s) and Paper(s). We could define three different types for representing them; alternatively, we may define a global element Publication, reporting information common to books, papers and articles:

```xml
<xsd:complexType name="Publication">
    <xsd:sequence>
        <xsd:element name="Title" type="Title"/>
        <xsd:element name="Author" type="Name"/>
        <xsd:element name="Editor" type="Name"/>
    </xsd:sequence>
</xsd:complexType>
```

and three elements Book, Article and Paper, defined as follows:

```xml
<xsd:element name="Book" type="Publication"/>
<xsd:element name="Article" type="Publication"/>
<xsd:element name="Paper" type="Publication"/>
```

Global elements are often called shared components [86].

Thanks to global elements, a designer can avoid to unnecessarily define the same object multiple times; indeed, she can define it once and reuse it as many times she wants. Of course, some designers may opt for a heavy reuse of global elements, whereas others (especially in case of small schemas) may prefer to not use them. If a designer does not use shared components, the resulting XSD can be graphically described as a tree in which nodes represent schema elements and edges model relationships between elements and sub-elements. By contrast, if she adopts shared components, it is easy to argue that the XSD may appear as a graph with loops.

To better clarify this concept, we will provide a simple example.

**Example 4.3.** Consider once again the University Library introduced in Example 4.1. A scientific publication could be accompanied by additional material, like a software prototype and the datasets used in the experimental evaluation of the approach described in it. In the XSD describing the University Library, we can model this scenario by adding an element Additional Material as a global element. Suppose that this element specifies a URL (pointing to a Web site containing that material) as well as a description of the corresponding material. This description could specify, for instance, that the additional material is a collection of software programs (used to run experiments presented in the paper), one or more datasets (used to test the proposed approach), and so on. Assume, now, that the element Publication has been defined as a global element too.

Let us consider, now, a new element Demo Paper, describing a paper presented in the experimental track of a conference or a workshop. We could define this element from scratch, by specifying its title, its number of pages, a Web link to the software prototype described in the paper, a link to the dataset used in the corresponding experiments, and so on. Alternatively, we can define it by reusing the global elements Paper and Additional Material we have at our disposal. This leads to an XSD fragment which can be graphically represented as in Figure 4. Here, we reported the name of schema elements and we drew an arrow from a global element a to an element b to specify that b references a (so, for instance, Demo Paper references Additional Material).
XSD offers further opportunities to reuse the definition of a schema (or of a part of it) in other schemas. In particular, an XSD $S_1$ (called *source schema*) can be chained to another XSD $S_2$ (called *target schema*) so that the elements, the attributes and the complex types defined in $S_1$ can be reused in $S_2$. There are two ways to reuse the source schema in the target one; they are based on the *import* and *include* directives. The former assumes that the namespace of the source schema differs from that of the target one. The latter assumes that the source and the target schemas share the same namespace.

We can illustrate these concepts on the University Library example.

**Example 4.4.** Suppose that a file `Book.xsd`, containing the specification of the element `Book` described in Example 4.2, was generated. We can reuse the definition of a `Book` to generate a catalogue of books. In Figure 5 we report the XSD `BookCatalogue.xsd`, describing the structure of a catalogue of books. If we assume that `Book.xsd` and `BookCatalogue.xsd` share the same namespace, we can include `Book.xsd` into `BookCatalogue.xsd`, thus avoiding to redefine the element `Book`. Of course, `Book.xsd` can be used to define further schemas (e.g., the books purchased by the Library or borrowed by students).

A designer may opt to define multiple XSDs and to assembly them (by means of the *import/include* directives) for obtaining a new XSD $S$. In this way, the namespace of $S$ is distributed across multiple namespaces, each corresponding to an XSD used in the definition of $S$.

The reuse of a schema, a sub-schema or a single element can reveal semantic relationships between the involved parties. For instance, if two elements refer the same shared component, we can assume that a semantic relationship exists between them (think of elements `Book` and `Article` discussed in Example 4.2). Ideally, an XML Matcher should be able to identify semantic matchings independently of the design style adopted to construct the XSD. It clearly emerges, from the previous reasoning, that discovering semantic matchings in presence of shared components
and/or distributed namespaces is extremely challenging and difficult.

5. A template to classify XML Matchers

In this section we introduce a template to classify XML Matchers. This task is intricate because of two main reasons. The first one is that there is not a general agreement about the definition of XML Matcher and its goals. In fact, for some authors [25], an XML Matcher can be conceived as a function which receives two schema elements belonging to two different DTDs/XSDs and returns true if a semantic matching exists between them, false otherwise. In compliance with Definition 1 the output of an XML Matcher could be a real number in [0, 1], stating the semantic similarity of the corresponding schema elements so that the higher this number the more likely they form a matching. Other authors [92][100], instead, conceive XML Matchers as tools to compute the similarity degree of two DTDs/XSDs; this degree is a numerical value stating to what extent the semantics captured by the two schemas overlap. A nice application of such a definition can be found in the BellFlower system [92]. Here, the authors introduce the concept of personal schema querying, i.e. they assume that a repository of XML documents is available on the Web and consider a scenario in which a user wants to query it but is unfamiliar with the structure of available documents and, therefore, is not able to formulate precise queries. This user first can provide her own virtual view of unknown data; this view is encoded as an XSD (personal schema). Then, an XML Matcher ranks the XSDs in the repository according to their similarity with the personal schema.

The second reason is that researchers, working independently of each other, adopted different methodologies and tools to find semantic matchings between DTDs/XSDs. At a first glance these approaches appear unrelated to each other because, for instance, some of them heavily rely on Machine Learning techniques, whereas others are based on graph theory. As a consequence, a time-based framework to classify existing approaches in such a way that one approach attempts to solve the disadvantages of the previous ones is hard to define and, perhaps, not effective in describing how research on XML Matchers has evolved over time.

In order to solve the challenges outlined above, we introduce an abstract model which plays the role of template whose structure is applicable to all existing XML Matchers. Our template consists of several components; for instance, a component could specify the strategy adopted for representing input DTDs/XSDs, whereas another could describe the strategy for deciding whether two schema elements are to be regarded as similar or not. Once these components have been defined, we can represent each existing approach as a set of them. This way, unrelated approaches differ for the strategies implemented by them in one or more components. Such a template acts as a universal container which is generally enough to describe the main features of most of the existing XML Matchers. In the following we will call it as XML Matcher Template.

To formally introduce it, we need to provide some preliminary definitions. In particular, we call Input Format Domain (and we indicate it as IFD) the set of the elements provided in input to the Matcher. So, for instance, in some approaches the IFD coincides with a set of XML Schemas [25][65], in other ones it coincides with a set of DTDs [62] and, finally, in other ones it coincides with a set of XML documents plus the DTDs/XSDs associated with them [31].

As a further, preliminary concept, we observe that XML Matchers often perform a pre-processing step on input DTDs/XSDs; for instance, they convert DTDs/XSDs into trees [100] or graphs [25][65]. Such a pre-processing step can be seen as the output of a function from IFD to an Internal Representation Domain (that we indicate as IRD). On the basis of the definitions above, we are now able to introduce the concept of XML Matcher Template.

Definition 2. (XML Matcher Template). An XML Matcher Template $T$ is a tuple $T = \langle \text{IFD}, \text{IRD}, M, k, \sigma^T, \lambda, \phi \rangle$ where:

1. IFD and IRD are the Input Format and the Internal Representation domains, respectively.
2. $M : \text{IFD} \rightarrow \text{IRD}$ (pre-processing function) is a function which receives an element of IFD and returns an element of IRD. For each $S \in \text{IFD}$, we denote as $M(S)$ the corresponding element in IRD.
3. $k$ is an integer greater than or equal to 1.
4. $\sigma^T = [\sigma_1, \ldots, \sigma_k]$ is a group of $k$ functions. For each $i = 1 \ldots k$, and for each $S \in \text{IFD}$, $\sigma_i : M(S) \times M(S) \rightarrow [0, 1]$ is called similarity function.
5. $\lambda : [0, 1]^k \rightarrow [0, 1]$ is an **aggregating function**; $[0, 1]^k$ denotes the hypercube in $\mathbb{R}^k$, i.e. a $k$-th dimensional array whose components range from 0 to 1.

6. $\phi : \text{IFD} \times \text{IFD} \rightarrow \mathbb{R}^+$ is a schema similarity function; $\mathbb{R}^+$ is the set of non-negative real numbers.

The similarity function $\sigma(\cdot, \cdot)$ receives two schema elements and returns a real number in $[0, 1]$ (similarity score). The output of $\sigma(\cdot, \cdot)$ plays the role of the confidence measure $\tau$ introduced in Definition 1. $\sigma(\cdot, \cdot)$ is characterized by the following further constraints:

1. For each $u$, $\sigma(u,u) = 1$, i.e. each element is similar to itself with the highest similarity score.
2. For each pair of schema elements $(u, v)$ such that $u$ (resp., $v$) belongs to a DTD/XSD $S_1$ (resp., $S_2$), $\sigma(u,v) = \sigma(v,u)$, i.e. $\sigma(\cdot, \cdot)$ is symmetric with respect to its arguments.

In the following, when it does not generate confusion, we will use the symbols $u$ and $v$ to denote two schema elements of two different DTDs/XSDs. In case we need to handle more elements in $S_1$ (resp., $S_2$), we will denote them as $u_1, u_2, \ldots, u_n$ (resp., $v_1, v_2, \ldots, v_n$).

The **aggregating function** $\lambda$ is necessary because, in most cases, one can define different similarity functions to compute the similarity score of two schema elements. This depends on the fact that, in general, there is no similarity function which always returns better results than the other ones and, therefore, it can be convenient to use more similarity functions [2]. $\lambda$ has the purpose of aggregating the results generated by these functions to yield a **global similarity score**.

Finally, the function $\phi$ receives a pair of DTDs/XSDs and returns a non-negative real number. The goal of $\phi$ is to compute to what extent two DTDs/XSDs describe the same piece of reality. It is usually based on $\sigma$ and $\lambda$, i.e., the similarity degree of two schemas is computed by assembling the similarity scores of their elements. A nice application of $\phi$ is in the field of XML Schema Clustering (see Section 7.1).

In the next subsections we will comparatively discuss the features of some popular XML Matchers in terms of the XML Matcher Template. In particular, we will discuss the XML Matchers proposed in [2, 6, 25, 31, 56, 58, 62, 65, 100, 103].

Observe that both LSD [31], Cupid [65] and COMA++ [6] have been conceived to handle generic schemas, but they are included in our review because they provide some specific modules for the management of DTDs/XSDs.

5.1. The pre-processing function $M$

In this section we consider how the mapping function $M$ is implemented in the XML Matchers into examination.

In LSD [31], the IFD coincides with a set of XML documents and the DTDs associated with them. As observed in Section 3 LSD, in its basic version, does not consider the hierarchical structure of a document. Indeed, an XML document is mapped onto an array whose elements are called tokens. Therefore, the IRD is the space of $n_t$-th dimensional arrays, being $n_t$ the number of tokens in a document. A variant of LSD has been designed to deal with hierarchical data models and, in particular, with DTDs. In that case, two kinds of token, namely node tokens and edge tokens, are considered. A node token is an element of the DTD/XSD or an instance of that element, whereas an edge token specifies a hierarchical relationship between schema elements.

Apart from LSD, all the other discussed approaches map DTDs/XSDs onto trees or graphs.

In XClust [62] and similar methods [100], the IFD is a set of DTDs. Each schema element in the original DTD is mapped onto a tree node, whereas an edge models a relationship between an element and one of its sub-elements. Due to the presence of repeated and shared elements, DTDs may assume the form of graphs with loops. Some rules are required to break loops.

Algergawy et al. [2] focus on XSDs which are mapped onto trees called Schema Trees. Each element of an XSD is mapped onto a (unique) node in the Schema Tree; edges are used to model parent relationships. Each node is provided
Table 4: A classification of the XML Matchers into evaluation in terms of IFD, IRD, labels attached with schema elements and relationships among elements in IRD.

| Approach | IFD | IRD | Element Labels | Relationships in IFD |
|----------|-----|-----|----------------|---------------------|
| LSD      | XML Documents + DTDs | An array of tokens / A pair of arrays of tokens | Name | - |
| Cupid    | DTDs/XSDs | Rooted Graphs and Trees | Name | Aggregation, Generalization and Specialization |
| COMA++   | DTDs/XSDs | Directed Acyclic Graphs | Name | Aggregation, Generalization and Specialization |
| XIKE     | XSDs | Directed Graphs | Name | Element/Sub-element Element/Attributes |
| XI:match | DTDs | Trees | Name | Element/Sub-Element |
| Approach of [108] | DTDs/XSDs | Trees | Name | Element/Sub-Element |
| Approach of [4] | XSDs | Trees + Prufer Sequences | Name, Data Type and Cardinality | Element/Sub-Element |
| Approach of [103] | XSDs | Directed Graphs | Name, Attributes, Parents, Children and Brothers | Element/Sub-Element |
| Approach of [55] | DTDs | Trees | Name | Element/Sub-Element |
| Approach of [55] | DTDs | Trees | Name | Element/Sub-Element |

with a label reporting its name, its data type and its cardinality constraints. Also in [58] and [58], DTDs are mapped onto trees such that each node is labeled with the element name and each edge encodes an element/sub-element relationship.

Other approaches map the DTDs/XSDs provided in input onto graphs. In Cupid [65], the IRD is a rooted graph such that each node uniquely corresponds to a schema element. Elements are tied by different types of edges encoding relationships, like generalization, specialization and aggregation, discussed in Section 4. Finally, a set of procedures for converting graphs into trees is defined.

As for COMA++, it converts DTDs/XSDs onto directed acyclic graphs; each element in the original schema is represented by means of the path joining the schema root with the element itself.

In XIKE [25], the IFD is a set of XSDs whereas the IRD is a set of directed and labeled graphs called XS-Graphs. Each node of an XS-Graph is uniquely associated with an element of an XSD, whereas an edge linking two nodes specifies, for instance, an element/sub-element relationship or an element/attribute relationship.

Yi et al. [103] propose to model an XSD as a semantic network, i.e. as a graph with labeled nodes. As in the previous approaches, each element in the XSD is uniquely associated with a node in the graph. Each node \( v \) is provided with the following functions: (i) \( \text{name}(v) \) - \( n(v) \), returning the name of \( v \); (ii) \( \text{attributes}(v) \) - \( a(v) \), returning the attributes of \( v \); (iii) \( \text{parent}(v) \) - \( p(v) \), returning the parent element of \( v \); (iv) \( \text{children}(v) \) - \( c(v) \), returning the set of child elements of \( v \); (v) \( \text{brother}(v) \) - \( b(v) \), returning the set of brother elements of \( v \). Two elements are said brothers if they share the same parent.

In Table 4 we report a classification of the discussed approaches in terms of IFD and IRD, of the label associated with each schema element in IRD and, finally, of the relationships among elements encoded in IRD.

5.2. The similarity function \( \sigma \)

The similarity function \( \sigma \) plays a key role in the whole matching process; therefore, we will describe its features in details.

According to Definition [2] the function \( \sigma \) operates on elements of IRD; observe that different functions \( \sigma \) can be defined. Existing definitions of \( \sigma \) fall within the following classes:

- A first group considers information about elements (like data types or name elements). We call them as element-level Matchers.
A second group analyzes the structural information included in DTDs/XSDs. These Matchers are based on the concept of context of an element; for instance, if an XSD is modeled as a tree, the context of an element consists of its descendants and ancestors. In this contexts it is assumed that there exists a semantic matching between two nodes if there exists a matching between their contexts. Approaches belonging to this category are called context-level Matchers.

In the following subsections we will present in detail these two classes of XML Matchers. We pay a special attention on COMA++: a key feature of this system is, in fact, its ability of implementing several similarity functions \( \sigma \). These functions can be applied in parallel (and in an independent fashion) under user control. The first version of COMA++ supported more than 10 version of the \( \sigma \) function; some of these implementations were merely linguistic (i.e., considered only the names of elements to match) while other were structural (i.e., considered the context of two elements). In principle COMA++ can be extended in such a way as to implement any of the approaches we will present in the next sections and, therefore, we do not report our discussion about COMA++.

5.2.1. Element-level Matchers

Approaches belonging to this category use information like the names of the elements, their data types and the constraints on their cardinalities to compute matchings; each of these features provides a basic similarity metric.

A first category of similarity metrics can be classified as Name Similarity. The corresponding metrics are based on the following intuition: “The more similar the names of two XML elements, the higher the similarity level of these last ones.”.

Therefore, to assess the similarity of two schema elements, it is necessary to compare the strings representing their names. To this purpose, various methods, like prefix, suffix, edit distance, Jaro distance and n-grams [4, 47], have been proposed in the literature. In the following we will provide an overview of them:

- **Prefix.** Prefix receives two strings and checks whether the first one starts with the second one. Prefix is efficient in recognizing acronyms (e.g., it recognizes that terms like “int” or “integer” form a semantic matching). Prefix strategy is implemented in Cupid.

- **Suffix.** Suffix receives two strings and checks whether the first one ends with the second one (e.g., “phone” and “telephone”). Both the systems presented in [29, 68] and Cupid exploit this metrics.

- **Edit distance.** Edit or Levenshtein distance [63] receives two strings and computes the shortest sequence of operations (like insertion/deletion of characters) capable of transforming the former into the latter. Edit distance has been used in [29]. In the context of DTDs, it was adopted in the approach of [100]. This distance is useful when abbreviations, instead of complete names, are used. The resulting similarity metric is called Syntactic Similarity and denoted as \( \text{S yntSim}(\cdot, \cdot) \).

- **Jaro distance** [54]. Given two strings \( s_1 \) and \( s_2 \), their Jaro distance \( d_J \) is defined as follows:

\[
d_J = \frac{1}{3} \left( \frac{m}{|s_1|} + \frac{m}{|s_2|} + \frac{m - t}{m} \right)
\]

being \( m \) the number of matching characters between \( s_1 \) and \( s_2 \), \( t \) the number of character transpositions, i.e. the number of characters matching in \( s_1 \) and \( s_2 \), but in a different order, and \( |s_1| \) (resp., \( |s_2| \)) the length of \( s_1 \) (resp., \( s_2 \)). Jaro distance is adopted in [82].

- **N-gram.** An n-gram is a sequence of \( n \) consecutive characters in a string. For instance, given the string “house”, the n-grams of length 3 associated with it (often known as trigram) are “hou”, “ous” and “use”. In approaches relying on n-grams, the distance between two strings is computed by comparing the number of n-grams shared by them. In the context of Schema Matching, examples of approaches exploiting n-grams are reported in [29, 46].
An experimental comparison of different metrics for string matching is reported in [19].

A second category of metrics can be classified as Language-Based Similarity. They use Natural Language Processing tools, like tokenization and elimination, already introduced in Section 3.1. In the context of DTDs/XSDs, Language-Based Similarity metrics have been applied, in their basic form, in Cupid and in the approach of [56]. Some authors suggest that, in order to compute the similarity of two XML elements, it is necessary to consider not only the names of the elements themselves but also the names of their children or their parents [103]. For instance, let us consider the contribution to the similarity score computation provided by the children elements. Given two schema elements \( u \) and \( v \), let \( c(u) \) and \( c(v) \) be the children of \( u \) and \( v \), respectively. The similarity score \( \sigma_c(u, v) \) is defined as follows [103]:

\[
\sigma_c(u, v) = \frac{N_c}{N_u + \alpha_{uv} N_{u-v} + (1 - \alpha_{uv}) N_{v-u}}
\]

where \( N_c \) is the number of children of \( u \) which are also children of \( v \), and \( N_{u-v} \) (resp., \( N_{v-u} \)) is the number of children of \( u \) (resp., \( v \)) which are not children of \( v \) (resp., \( u \)). The coefficient \( \alpha_{uv} \) is a weight ranging in \([0, 1]\).

Equation 1 can be generalized to the other element features, like attributes. The reason underlying this kind of similarity is as follows: The higher the number of features shared by \( u \) and \( v \), the higher their similarity degree. By contrast, a high number of non-shared features of \( u \) and \( v \) induces a strong penalization on their similarity degree. Since each element has exactly one parent, Equation 1 in case of parent function \( p(v) \), becomes as follows:

\[
\sigma_p(u, v) = \begin{cases} 
1 & \text{if } p(u) = p(v), \\
0 & \text{if } p(u) \neq p(v).
\end{cases}
\]

being \( p(u) \) (resp., \( p(v) \)) the unique parent of \( u \) (resp., \( v \)). Most of the Language-Based Similarity metrics rely on the use of external sources, such as dictionaries or thesauri, like WordNet. WordNet has been exploited, in the context of XSDs, in XIKE [24–26] and other methods [2], whereas it was adopted, in the context of DTDs, in XClust [62] and other approaches [100]. In [100], the authors define a similarity measure obtained by querying WordNet. This similarity is called as Semantic Similarity, and is denoted as \( \text{semSim}(\cdot, \cdot) \).

In some cases, like in LSD, an external source is constructed by taking the matching manually provided by users into account. In particular, in LSD, the problem of finding semantic matchings is formulated as a classification problem: Given a set of pre-defined classes \( c_1, \ldots, c_m \), two schema elements form a semantic matching if they share the same class. To perform classification, LSD provides two main alternatives: The former is based on Whirl [18], a \( k \)-nearest-neighbor text classifier, whereas the latter exploits the Naive Bayes classifier. To train these classifiers, LSD looks at the instances of two elements and applies the TF-IDF metric on them. In other words, in LSD, the similarity score of two schema elements depends on the similarity of their instances. A further classifier, capable of considering the hierarchical structure of XML documents and DTDs, is included in LSD; it will be discussed in Section 5.2.2.

A third category of metrics is given by Data Type Similarity. These metrics depend on type constraints (see Section 4.2). Data Type Similarities are considered in Cupid, XIKE and in other approaches [2].

Finally, a fourth category of metrics is based on the concept of Cardinality Constraint Similarity. A discussion about cardinality compatibility and its usage in the matching of DTDs/XSDs has been performed in Section 4.3. As for DTDs, cardinality constraints are considered in XClust and in the approach of [100]: In this latter approach, the function evaluating the similarity degree of two elements on the basis of the compatibility of their cardinalities is called \( \text{CardSim}(\cdot, \cdot) \). The usage of cardinality constraints in XSDs is considered in [2] and in XIKE.

In Table 5 we classify the approaches into evaluation on the basis of the element-level Matchers they adopt.

5.2.2. Context-level Matchers

Context-level Matchers are based on the fact that a DTD/XSD is usually represented as a tree \( T \) or a graph \( G \), and each of its elements corresponds to a node in \( T \) or \( G \). The context of a node \( n \) in \( T \) (resp., \( G \)) is represented by all the
nodes of $T$ (resp., $G$) “close” to $n$, according to some closeness definition.

The context of $n$ is exploited to better interpret the meaning of the element represented by $n$. The intuition behind context-level Matchers is as follows: ”If two elements are similar, their contexts should also be somehow similar”. In the field of Schema Matching such an idea was first introduced in [40], furthermore, it is popular in other fields of Computer Science, like Data Mining [55] and Social Network Analysis [64].

Context-level Matchers can be classified into two categories, namely: (i) tree-based approaches, if the DTD/XSD is modeled as a tree; (ii) graph-based approaches, if the DTD/XSD is modeled as a graph.

Tree-based approaches. In tree-based approaches, the context of a node usually coincides with the set of its ancestors and descendants. This implies that similarities are computed only for non-leaf nodes (in fact, a leaf node has only one parent and no descendants). Tree-based approaches can be classified as follows [2]:

- **Child similarity.** These approaches consider only the children of the nodes into examination. Two non-leaf nodes are classified as similar if their sets of children present a high matching degree. The sets of children of two nodes could be compared by applying the Jaccard coefficient or other analogous methods. An implementation of this strategy can be found in Cupid.

- **Leaf similarity.** In these approaches, any non-leaf node $n$ is considered as the root of a subtree. The similarity degree between two non-leaf nodes $n_1$ and $n_2$ is computed by comparing the sets of the leaf nodes belonging to the subtrees having $n_1$ and $n_2$ as root. As an example, in [2,4], first leaf nodes are mapped onto arrays of real numbers and, then, the similarity of these arrays is computed by applying the cosine similarity measure.

- **Sibling similarity.** The siblings of a node $n$ are the nodes placed at the same level as $n$ in the tree [2]. Given two nodes $n_1$ and $n_2$, first these approaches construct the sets of their siblings. After that, they compute the similarity of each pair of siblings and, then, select the pairs with the highest similarity scores (best matching pairs). Finally, they compute the similarity degree of $n_1$ and $n_2$ by averaging the similarity degrees of the best matching pairs.

- **Ancestor similarity.** In these approaches, the ancestors of a node are considered. In particular, given a node $n$, let $\text{path}(n)$ be the path joining the root with $n$. The set of the nodes in $\text{path}(n)$ is called the ancestor context of $n$. These approaches, in order to compute the similarity degree of two nodes $n_1$ and $n_2$, compare the corresponding ancestor contexts. Some authors [4] propose to use refined techniques (like Prufer sequences [80]) to efficiently encode these paths.

As discussed in Section [5.1] LSD encodes XML documents on the basis of their hierarchical structure. Once each XML document has been mapped onto a pair of vectors, a classifier is applied to find matchings. Cupid implements an approach which combines both Leaf Similarity and Ancestor Similarity. In particular, two non-leaf elements are classified as similar if they are linguistically similar and the sub-trees having the two elements as root are similar. In an analogous fashion, two non-leaf schema elements are structurally similar if their leaves are highly similar. This leads to a mutually recursive definition of similarity: Two elements are similar if their leaves are similar, and the similarity of two leaves depends on the similarity of their ancestors.

| Approach                  | Language-Similarity | Data Type | Cardinality Constraint |
|---------------------------|---------------------|-----------|------------------------|
| LSD                       | TF-IDF              | No        | No                     |
| Cupid                     | Tokenization/Elimination | Yes      | No                     |
| XRIE                      | WordNet             | Yes       | Yes                    |
| XDJust                    | WordNet             | Yes       | Yes                    |
| Approach of [100]         | Edit Distance       | No        | Yes                    |
| Approach of [103]         | Tokenization/Elimination | Yes      | Yes                    |
| Approach of [103]         | Name comparison (children, brother, parent) | No      | No                     |
| Approach of [152]         | WordNet             | No        | No                     |
| Approach of [152]         | Tokenization/Elimination | No      | No                     |

Table 5: A classification of the XML Matchers into evaluation in terms of the element-level Matchers they implement.
An idea similar to that proposed in Cupid is explored in XClust, where the context of an element consists of both its ancestors (assuming that this element is not the root) and its descendants. The descendants of an element consist of its attributes, its sub-elements, the elements linked to it by means of IDREF(S) attributes, as well as the leaves of the subtree rooted at the element itself.

In [53], the problem of finding semantic matchings is formulated as the problem of finding a matching between two trees. This approach first reduces the tree-to-tree matching problem to a path-to-path matching problem which, in its turn, is formulated as a node-to-node matching problem. Finally, this last problem is solved as a word-to-word matching problem. Each of these problems can be suitably formulated as a maximum weight matching problem on a bipartite graph with different constraints. To deal with computational complexity, integer programming and dynamic programming techniques are applied.

**Graph-based approaches.** These approaches consider input schemas as graphs (often weighted and labeled). Relationships between schema elements are modeled by structural properties (like edges or paths) of a graph. In XIKE, XSDs are converted into labeled graphs called XS-Graphs. A distance between two schema elements can be defined on the basis of the length of the shortest path linking the corresponding nodes in the associated XS-Graph. In XIKE, the $q$-neighborhood of a node $n$ consists of the set of the nodes whose distance from $n$ is less than a pre-fixed threshold $q$.

XIKE takes an integer $q$ (called severity level) as well as a pair of schema elements $u$ and $v$ as input. Let $n_u$ (resp., $n_v$) be the node corresponding to $u$ (resp., $v$) in the XS-Graph associated with the XSD containing $u$ (resp., $v$). A bipartite graph $BG = (N_u \cup N_v, E)$ is built such that: (i) $N_u$ is the $q$-neighborhood of $n_u$, (ii) $N_v$ is the $q$-neighborhood of $n_v$, and (iii) an edge $e \in E$ links a node of $N_u$ with a node of $N_v$ if there exists a syntactic matching (revealed by querying WordNet) between them. After that, a maximum weight matching problem on $BG$ is solved and, if the value of the corresponding objective function is higher than a threshold then $u$ and $v$ are considered semantically similar. XIKE is parametric against the severity level $q$. It is scalable because the size of $BG$ is usually small.

In [103], a relaxation labeling algorithm is proposed to find semantic matchings in XSDs. Relaxation labeling is an efficient technique to solve the problem of assigning labels to the nodes of a graph so as to satisfy a set of constraints. Two schema elements are considered semantically related if they share the same label. The approach of [103] considers structural as well as semantic constraints.

### 5.3. The aggregating function $\lambda$

The similarity functions defined before exploit only a specific feature of schema elements (e.g., name or context). Therefore, the usage of a single strategy cannot be sufficient because a similarity function can produce accurate results in a particular application domain, but it can work poorly in other ones [2, 31, 65]. For this reason, several authors suggest to simultaneously use several similarity functions. In this way, for a fixed pair of schema elements, multiple similarity scores (called partial similarity scores) are available. These scores are, then, combined (or aggregated) into a global similarity score [2, 31, 56, 65].

On one hand, aggregating partial similarity scores provides a high level of adaptability because potential errors of a similarity function are compensated by the other ones at disposal of the Matcher. This allows the improvement of the overall accuracy. On the other hand, combining (or aggregating) partial similarity scores is not trivial, and several strategies have been proposed so far [2].

By inspiring ourselves with the ideas proposed in [2], we suggest to classify aggregation strategies into homogeneous, if the similarity functions are of the same type (e.g., all of them operate at the element-level), and heterogenous, otherwise (e.g. a similarity function works at the element-level and the other one operates at the context-level).

In some cases, the computation of $\lambda$ can be seen as an iterative process [56]. A human expert checks the results generated by the Matcher and, if they are not in line with her expectations, can adjust the thresholds used in the similarity functions, can decide to consider further similarity functions (in addition to the already used ones), can
remove some similarity functions from the pool of the considered ones, or, eventually, can modify the aggregation strategy.

To formally introduce the concept of aggregating function, we assume that \( k \geq 1 \) similarity functions \( \sigma_i(\cdot, \cdot) \) are available. We define the hypercube \( C \in \mathbb{R}^k \) (and denote it as \([0, 1]^k\)) as a vector of \( k \) components, each belonging to the real interval \([0, 1]\). A vector \( \mathbf{x} = [x_1, \ldots, x_k] \) belongs to \( C \) (and we will write \( \mathbf{x} \in [0, 1]^k \)) if, for each \( i = 1 \ldots k \), \( 0 \leq x_i \leq 1 \). For each pair of vectors \( \mathbf{x} \in [0, 1]^k \) and \( \mathbf{y} \in [0, 1]^k \), we say that \( \mathbf{x} \leq \mathbf{y} \) (i.e., \( \mathbf{x} \) precedes \( \mathbf{y} \)) if \( x_i \leq y_i \) for each \( i = 1 \ldots k \). This way, a precedence relationship \( \leq \) is defined.

We are now able to define an aggregating function as in [3]:

**Definition 3.** (Aggregating Function) An aggregating function \( \lambda : \mathbb{R}^k \rightarrow [0, 1] \) is a function that satisfies the following two properties:

1. \( \lambda(\mathbf{0}) = 0 \) and \( \lambda(\mathbf{1}) = 1 \), being \( \mathbf{0} \) (resp., \( \mathbf{1} \)) the \( k \)-th dimensional vector whose components are all equal to 0 (resp., 1).
2. For each \( \mathbf{x} \in [0, 1]^k \) and \( \mathbf{y} \in [0, 1]^k \), if \( \mathbf{x} \leq \mathbf{y} \), then \( \lambda(\mathbf{x}) \leq \lambda(\mathbf{y}) \).

The condition \( \lambda(\mathbf{0}) = 0 \) means that if two elements are recognized as totally dissimilar by all the available similarity functions, then the global similarity score must be 0. In an analogous fashion, if all the available similarity functions agree on the fact that the similarity degree of two schema elements achieves its highest value then the aggregating function must return 1.

Condition 2 states that \( \lambda \) is monotonic non-decreasing. The monotonicity of \( \lambda \) must be interpreted as follows: Let us consider two pairs of elements \( (u_1, v_1) \) and \( (u_2, v_2) \) and suppose that \( \sigma_i(u_1, v_1) \leq \sigma_i(u_2, v_2) \) for all \( i = 1 \ldots k \), i.e., that all similarity functions agree on the fact that the similarity score of the pair \( (u_1, v_1) \) is less than or equal to the similarity score of the pair \( (u_2, v_2) \). In such a case, the definition of \( \lambda \) must guarantee that \( \lambda(u_1, v_1) \) is less than or equal to \( \lambda(u_2, v_2) \).

The simplest way of aggregating partial similarity scores is to compute their weighted sum; in this case \( \lambda \) can be defined as follows:

\[
\lambda(u, v) = \sum_{i=1}^{k} w_i \sigma_i(u, v) \quad (3)
\]

Here, a weight \( w_i \) can be interpreted as the confidence on the correctness of the results produced by \( \sigma_i(\cdot, \cdot) \). Some systems, like COMA++ [6], consider also the configuration in which weights are all equal (i.e., \( w_i = w^* \forall i \)) and in such a case \( \lambda(u, v) \) is equal to the average of the similarity scores generated by each \( \sigma_i \).

In some cases, the weights \( w_1 \ldots w_k \) form a convex combination, i.e. \( \sum_{i=1}^{k} w_i = 1 \). This is the case of the weights exploited in Cupid, in XClust and in the approach of [103]. A more complex option is adopted by LSD, where weights are obtained by solving a linear regression problem.

Other options focus on operators like \( \max \) and \( \min \); \( \max \) returns the highest similarity score between \( u \) and \( v \) among all available scores; \( \min \) returns the lowest one.

In [100], a non-linear combination scheme is considered. Here, \( \lambda \) is defined as follows:

\[
\lambda(u, v) = \alpha \cdot \max\{SemSim(u, v), SynSim(u, v)\} + (1 - \alpha) \cdot \text{CardSim}(u, v) \quad (4)
\]

being \( \alpha \) a real number. The functions \( SemSim(u, v) \), \( SynSim(u, v) \) and \( \text{CardSim}(u, v) \) have been introduced in Section 5.2.1.

Further examples of non-linear combination schemas have been provided in [2] and [56]. Such schemas rely on the idea that the results generated by several similarity functions are somewhat related to each other [2] and, sometimes,
partial similarity scores appear to be collinear [56]. Therefore, in general, given two similarity scores $\sigma_1(u, v)$ and $\sigma_2(u, v)$, one can expect that if $\sigma_1(u, v)$ is high then $\sigma_2(u, v)$ will be high too.

The approach of [2] proposes a definition of $\lambda$ which takes the interdependencies among partial similarity scores into account. Such a definition, according to our notation, is as follows:

$$\lambda(u, v) = \rho \sum_{i=1}^{d} \sigma_i(u, v) \pm (1 - \rho) \sum_{i=1}^{d} \sigma_i(u, v) \sigma_j(u, v)$$

(5)

In Equation (5), $\lambda(u, v)$ consists of two terms: The former is equal to the sum of the partial similarity scores and, therefore, it coincides with Equation (3) when all weights are set equal to 1, i.e. when all partial similarity scores equally contribute to the global one. The latter term takes the interdependencies between partial similarity scores into account. If $\sum_{i=1}^{d} \sigma_i(u, v)$ is greater than a threshold, the first and second terms are added (i.e., the symbol $+$ is used in Equation (5)). This means that the interdependencies between pairs of partial similarity scores are used to reinforce the global one. By contrast, if $\sum_{i=1}^{d} \sigma_i(u, v)$ is lower than a threshold, the second term is subtracted to the first one. As usual, the coefficient $\rho$ is instrumental in normalizing $\lambda(\cdot, \cdot)$ to the real interval $[0, 1]$.

5.4. The schema similarity function $\phi$

In this section we investigate the main features of the $\phi$ function. As emerges from Definition 2 the role of $\phi$ is to compute the similarity degree of a pair of DTDs/XSDs. As we will show later, this is a key step to perform Schema Clustering. However, we point out that the definition of $\phi$ is optional, and, therefore, some of the approaches discussed till now do not provide any definition for $\phi$.

In [3], the authors consider a group of XSDs $\mathcal{S} = \{S_1, S_2, \ldots, S_n\}$, and, for each pair $(S_i, S_j)$ of schemas, they apply a structural and a linguistic Matcher. Therefore, each pair $(u, v)$ of schema elements, such that $u \in S_i$ and $v \in S_j$ has associated a linguistic similarity score $sc(u, v)$ and a structural similarity score $sc_j(u, v)$. The overall similarity score of $(u, v)$ is obtained by computing the weighted mean of $sc_j(u, v)$ and $sc_i(u, v)$. The overall similarity score of $(S_i, S_j)$ is obtained by summing up all the overall similarity scores of the pairs $(u, v)$ such that $u \in S_i$ and $v \in S_j$.

$$\phi(S_i, S_j) = \sum_{u \in S_i} \sum_{v \in S_j} \alpha sc_i(u, v) + (1 - \alpha) sc_j(u, v)$$

(6)

In XIKE, semantic matchings are used to map XSDs onto points of a multidimensional space [27]. In detail, given a set $\mathcal{S} = \{S_1, S_2, \ldots, S_n\}$ of XSDs, a multi-dimensional vector space $V$ is built so that each element appearing at least in one of the XSDs of $\mathcal{S}$ corresponds to a dimension. Two elements involved in a semantic matching are collapsed into a unique dimension in $V$. An XSD $S_i \in \mathcal{S}$ can be described on the basis of its elements. As a consequence, it can be mapped onto an array $\vec{v}_i \in \mathbb{R}^N$, being $N$ the overall number of the complex elements of all the XSDs of $\mathcal{S}$. The computation of the similarity between two XSDs $S_i$ and $S_j$ reduces to the computation of the Euclidean distance between the corresponding vectors $\vec{v}_i$ and $\vec{v}_j$.

In XClust, the computation of the similarity degree of two DTDs is performed by computing the similarity degree of the trees associated with them. In detail, given a collection $\mathcal{D} = \{D_1, \ldots, D_n\}$ of DTDs, XClust considers all pairs of DTDs in $\mathcal{D}$ and, for each pair, it finds the pairs of similar elements between the two DTDs. More formally, given two DTDs, $D_i \in \mathcal{D}$ and $D_j \in \mathcal{D}$, and a threshold $\tau$, a list of similar elements $L_{ij}$ is built; such a list consists of all the pairs $(u, v)$ of elements such that $u \in D_i$, $v \in D_j$ and the similarity degree of $u$ and $v$ is greater than $\tau$. The role of $\tau$ is, therefore, to filter out those pairs of elements whose similarity degree is not recognized as sufficiently high. The similarity degree of $D_i$ and $D_j$ is proportional to the size of $L_{ij}$. However, it can happen that a DTD is similar to a subpart of a larger DTD (think, for instance, of a DTD describing a University Department and a DTD describing the whole University). In order to correctly handle this scenario, $|L_{ij}|$ must be normalized; for this purpose, it is divided by a suitable coefficient that, in case of XClust, is $\min(|D_i|, |D_j|)$.
In [100], the similarity degree of two DTDs is determined by computing the edit distance [27] between two simplified trees. In detail, as observed in Section [5.1] the approach of [100] maps each DTD $D_i$ onto a tree $T_i$. Since such a mapping is a bijection, in the following we will use the symbols $D_i$ and $T_i$ in an interchangeable fashion and, therefore, when we will mention a tree $T_i$ we will implicitly refer to the DTD $D_i$ generating it. Some primitive operations, called edit operations, on $T_i$ are allowed [75]; amongst them we cite the re-labelling of a node (i.e., the label of a node $v$ in $T_i$ is changed from $l_i$ to $l'_i$), the insertion/deletion of a node at a specified level and the insertion/deletion of a subtree in $T_i$. In the following each of these edit operations will be denoted in short as op and we assume that a function (called cost function) is defined. Such a function associates each allowed operation op with a non-negative real number (called cost). Let us consider a pair of trees $T_i$ (called source) and $T_j$ (called target). An edit script $es$ is defined as a sequence $es = \{op_1, \ldots, op_n\}$ of edit operations allowing $T_i$ to be transformed into $T_j$. The cost $\gamma(es)$ of an edit script $es$ is defined as the sum of the costs of the operations forming $es$: So, for instance, if an edit script would only consist of the insertion of a node $v$ in $T_i$ and the re-labelling of another node $w$, then its cost would be equal to the sum of the costs of these two operations. In principle, there could be several edit scripts from $T_i$ to $T_j$, and each of them has its own cost. An optimal edit script from $T_i$ to $T_j$ is an edit script from $T_i$ to $T_j$ having the minimum cost; its cost represents the tree-edit distance from $T_i$ to $T_j$. Once again, observe that several optimal edit scripts may exist from $T_i$ to $T_j$; however, even in this case, the tree edit distance is uniquely defined. According to the definition above, the equation for defining the tree edit distance (and, the function $\phi(S_i, S_j)$ which coincides with it) is as follows:

$$\phi(D_i, D_j) = \min\{\gamma(es) | es \text{ is an edit script from } T_i \text{ to } T_j\}$$

(7)

In Table 6 we summarize the main features of $\phi$ for the approaches discussed in this section.

| Approach | Input Data | Mapping | Definition of $\phi$ | Threshold | Time Complexity |
|----------|------------|---------|---------------------|-----------|-----------------|
| Approach of [1] | XSDs | - | $\phi(S_i, S_j) = \sum_{j=1}^{\nu} \alpha_{ij}(u,v) + \tau \sum_{lip \in S_i} \delta(l'_i, v)$ | $u \in [0, 1]$ | $O(n_i \cdot n_j)$ $n_i = |IS_i|$, $n_j = |IS_j|$ |
| XIKE | XSDs | Each XSD $S_i \in S$ is mapped onto a vector $\vec{v}_i \in \mathbb{R}^N$ | $\phi(S_i, S_j) = \sqrt{\sum_{lip \in S_i} \delta(l'_i, v)}$ | - | $O(N)$ $N = \sum_{i \in S} |IS_i|$$|
| XClust | DTDs | Each DTD $D_j \in D$ is mapped onto a tree $T_j$ | $\phi(D_i, D_j) = \sum_{\text{op} \in D_j} \rho_{\alpha_{ij}(u,v)}$ | $\tau \in [0, 1]$ | $O(n_i \cdot n_j)$ $n_i = |IS_i|$, $n_j = |IS_j|$ $|
| Approach of [100] | DTDs | Each DTD $D_j \in D$ is mapped onto a tree $T_j$ | See Equation [7] | - | $O(n_i \cdot n_j)$ $n_i = |IS_i|$, $n_j = |IS_j|$ $|

Table 6: A comparison of the strategies for the computation of the function $\phi$ for the XML Matchers into evaluation.

6. Commercial XML Matchers

In this section we review some commercial tools designed to handle Schema Matching tasks; in particular, we discuss how they handle matchings in DTDs/XSDs. The systems we consider are IBM Infosphere Data Architect, Microsoft Biztalk server, SAP NetWeaver Process Integration, Harmony, JitterBit and Altova MapForce.

We used the XML Matcher template to compare these approaches and, for each system, we specify its IFD and provide some discussion on IRD, the pre-processing function $M$, the similarity function $\sigma$ and the aggregating function $\lambda$. To the best of our knowledge, none of these systems implements the $\phi$ function.

In some cases, the design and the development of these systems were performed in a strict integration with academic researchers. This is, for instance, the case of NetWeaver, which is strongly based on the COMA++ prototype [3], and of Auto Mapping Core (AMC) [72], a framework conceived for supporting the integration of multiple schema matching approaches, which is a nice example of research collaboration between SAP and the University of Leipzig.
For each system we indicate the company commercializing it, the possible references to academic papers associated with it, and if it is either distributed as an open source suite or not. It is worth observing that Harmony was developed by MITRE corporation but it was used in conjunction with the AquaLogic Data Service platform [14] (initially developed by BEA systems and subsequently acquired by Oracle Corporation in 2008).

As for the input format domain (which corresponds to the column labeled as IFD), we observe that, in most cases, these systems are able to manage a wide range of data sources (like OWL Schemas, SQL DDL schemas, EDI and flat files), but all of them are able also to deal with DTDs/XSDs.

We observe that most of the technical documents available for these systems do not provide any explicit information about IRD and, then, on the internal format used for representing schemas to match.

The next 3 columns of Table 7 focus on the σ function and, in particular, specify if the matching strategy operates at the element level or at the structural one, report the cardinality of discovered matchings and, finally, the algorithm used to discover matchings.

As for the underlying matching algorithms, almost all of them use information at both the element level and the structural one.

As for the cardinality of the matchings that can be discovered by analyzed systems, most of them support only 1 : 1 matchings, even if BizTalk Server can discover also 1 : n matchings and SAP NetWeaver handles also m : n matchings.

All the commercial systems discussed in this section provide end-users with GUIs allowing them to specify matchings between schemas (see below for a detailed discussion). In addition, they offer (often limited) capabilities to find matchings in a semi-automatic fashion. According to Table 7, the simplest matching technique requires to check that two schema elements share the same name. Name Matching is implemented by all the systems, even if each of them supports also other and more sophisticated techniques: For instance, InfoSphere uses external thesauri, NetWeaver takes advantage of constraints about element cardinalities, and Harmony applies string pre-processing procedures, like tokenization/stemming. It is also interesting to observe that BizTalk Server provides a function to rank pairs of candidate matchings. This function is based on two heuristics: The former leverages on lexical similarities and element types, whereas the latter considers past user matching actions.

Some systems, e.g. NetWeaver and Harmony, implement an aggregation function λ, i.e. they exploit multiple Matchers to generate semantic matchings and properly aggregate the results generated by each matcher. The function λ implemented in these systems is, generally, quite simple: for instance, some aggregation operators are the weighted

| System         | Reference       | Vendor | IFD            | Element vs. Structural | Match Cardinality | σ          | λ          |
|----------------|-----------------|--------|----------------|------------------------|-------------------|------------|------------|
| Infosphere     | -               | IBM    | Relational/Metadata | Structural            | 1:1               | Name + External Thesauri | -          |
| BizTalk Server | [11]            | Microsoft | XML       | Element                | 1:1               | Name + Past User Matchings | Yes       |
| NetWeaver      | [22]            | SAP    | XML, SQL, OWL | Element + Structural   | m:n               | Name + External Thesauri Data Type + Graph-Based | Yes       |
| Harmony        | [14]            | Open Source | XML, SQL, OWL | Element + Structural   | 1:1               | Tokenization/Stemming        | Yes       |
| JitterBit      | -               | Open Source | XML, Relational | Element + Structural   | 1:1               | Name Matching               | -          |
| Altova         | -               | Altova | XML            | Element + Structural   | 1:1               | Name Matching               | -          |

Table 7: Comparison of commercial XML Matchers in the light of our XML Matcher Template
The sum operator (described in Equation 3) or the \textit{MAX} operator.

All the commercial systems discussed in this section require end-users (in general, expert people) to manually specify semantic matchings between pairs of schema elements. Since involved schemas may be very large, advanced GUIs are provided to make this process easier \cite{11, 77, 94}. In the simplest cases, a GUI reports the schemas to match and uses a "line-drawing" visualization approach, i.e., in order to specify a matching, the user is asked to draw a line joining the pair of involved elements.

The GUI provided by BizTalk Server is similar to that offered by Altova MapForce and allows for exporting mappings specified by users into the XSLT format. The 2010 edition of this system has been significantly improved so as to better handle large schemas, and supports an enhanced user interface to better visualize complex mappings.

NetWeaver provides the \textit{Matching Process Designer}, that not only reports candidate matchings but also helps users to select the techniques to adopt for finding correct matchings. A further, relevant feature of NetWeaver (and, in particular, of the Auto Mapping Core component mentioned above) is the opportunity of analyzing the intermediate results of a matching process (i.e., the user can check whether the output of a matching algorithm fits her desiderata or not, in which case she can turn to another Matcher).

In Harmony, the GUI supports a variety of filters that help users/data architects in selecting appropriate matchings.

JitterBit focuses on data integration in the context of point-to-point application integration, ETL and SOA. It consists of two main components, namely an Integration Environment and an Integration Server. The former has a user friendly GUI for supporting users in the integration process.

7. Challenges on XML Matchers

Despite huge efforts in the area of XML-specific Schema Matching have been put both at the academic and the industrial levels, there are several issues that deserve of being addressed properly.

In this section we focus on two emerging challenging areas, strictly related to the theme of DTDs/XSDs Matching. The former (illustrated in Section 7.1) deals with the clustering of DTDs/XSDs. The latter (discussed in Section 7.2) is about uncertainty in the matching process.

7.1. Schema clustering and data integration at Web scale

Approaches to clustering DTDs/XSDs have proven to play a key role in data integration tasks on a Web scale \cite{50}. In fact, traditional data integration techniques generally assume that all the sources to integrate belong to the same domain. Unfortunately, in a Web scenario, it is likely to find data sources spanning multiple (and, in many cases, only partially related) domains.

For instance, consider a scenario in which we want to realize a unique access point for all the services provided through portals handled by the Central Government Offices of a country. The categories of the involved portals and the number of portals for each category are reported in Table 8.

Clearly, if we integrate the DTDs/XSDs of all these portals in one time to construct the virtual schema of the access point, the overall global virtual schema would be enormous, heterogeneous, confused, and, ultimately, unusable for citizens.

A better solution to this problem would require that first available DTDs/XSDs are clustered and classified into homogeneous domains, then the DTDs/XSDs of each domain are integrated in such a way as to obtain a DTD/XSD representing the domain in the whole; after this, the DTDs/XSDs of detected domains are clustered in such a way as to obtain more abstract domains, each represented by a unique DTD/XSD. This process could be repeated until to a unique very abstract DTD/XSD, representing all available services, is obtained. This would be the schema associated with the access point. Figure 5 provides a representation of this approach.
| Portal categories              | Number of portals |
|-------------------------------|-------------------|
| Statistics                    | 1                 |
| Representations               | 2                 |
| Peripherical Offices          | 6                 |
| Certifications                | 4                 |
| Property Register Offices     | 3                 |
| Social Security               | 9                 |
| Foreign Relations             | 4                 |
| Relations Abroad              | 6                 |
| Defense                       | 1                 |
| Justice                       | 10                |
| Criminality                   | 6                 |
| Internal Security             | 6                 |
| Public Assistance             | 5                 |
| Health Services               | 6                 |
| Education                     | 3                 |
| Environment                   | 8                 |
| Cultural Goods                | 10                |
| Employment                    | 9                 |
| Farms                         | 3                 |
| Industrial Companies          | 9                 |
| Transportations               | 10                |

Table 8: Categories and numbers of involved portals

Figure 6: An example of the role of clustering in data integration at Web scale
Interestingly, this way of proceeding can be considered as a generalization of the schema clustering techniques for automatically classifying existing DTDs/XSDs (and, in general, other kinds of data source) into classes [51] [67]. It has a threefold effect: (i) the data integration task is more effective, because only conceptually related sources are involved in it; (ii) the data integration task is faster, because the number of sources in a cluster is significantly smaller than the overall number of sources; (iii) the data querying activity is quicker, more efficient and effective because the user is guided to find information of her interest.

Schema clustering approaches can be classified into three categories, i.e. Mapping-Based, Tree-Based and Multi-Strategy approaches.

Mapping-Based approaches consider DTDs/XSDs as points of a high dimensional space, map them onto points of a lower dimensional space and define the similarity of two DTDs/XSDs as the distance of the points representing them in the lower dimensional space. This information is then used by a clustering algorithm. Examples of approaches belonging to this category are XIKE and the approach of [81]. XIKE operates on XSDs; it has been discussed in Section 5.4. The approach of [81] works on DTDs. In a first stage, it clusters the elements of all available DTDs on the basis of their linguistic similarity. Such a clustering task can be interpreted as a dimensionality reduction activity in which the set of the elements generating the DTDs is mapped onto a lower dimensional space. As in XIKE, the mapping task is performed with the support of discovered semantic matchings. In this new space, an arbitrary DTD can be represented as an array having one component for each cluster; the \( i \)-th component of this array indicates how many elements of the corresponding DTD belong to the \( i \)-th cluster. Experimental tests showed that these approaches are able to achieve a high accuracy level; however, the preliminary mapping phase plays a key role, and possible inaccuracies in it can negatively influence the whole clustering process.

Tree-Based approaches represent DTDs/XSDs into examination as trees and use linguistic and context-level Matchers to find their similarities. As observed in Section 5.4, XClust and the approach of [100] use the tree-based representation of DTDs to compute their similarity degree. A further example of these approaches is XMine [73]. XMine exploits WordNet, in conjunction with a user-defined dictionary, to find semantic matchings. Once schema similarities have been computed, an arbitrary clustering algorithm can be applied. Tree-Based approaches are effective because they consider both the structure and the content of a DTD/XSD. However, schemas may be large and the computation of the similarity degree of two schemas may require the corresponding trees to be traversed more times. Such an operation can be computationally expensive. For this reason, some authors [3] propose to reduce computational costs by substituting trees with Prüfer sequences [80].

Multi-Strategy approaches use multiple algorithms to compute the matching degree between any element of a source schema and any element of a target one. Then, they combine obtained results to generate a global similarity score for each pair of involved schemas. A relevant example of Multi-Strategy approaches is Schemr [13]. Schemr is a Schema search engine, i.e. it offers functionalities for searching and retrieving schemas from a given repository. Retrieved schemas could be relational ones or XSDs. In Schemr, users (typically database administrators) can submit a query (consisting of a list of keywords) representing their needs. Furthermore, they can specify a schema fragment and require Schemr to find it, in the repository, other schemas which resemble (and, potentially, complete) it. For this purpose, Schemr first retrieves a set of candidate schemas, which are likely to fit user query, and then applies an ensemble of Matchers on them. Each Matcher produces a similarity matrix that reports the similarity degree between any element of the user query and any element of a given candidate schema. The similarity matrices produced by each Matcher are finally combined to generate a global similarity matrix, and candidate schemas are ranked according to their similarity with respect to user query. A further example of Multi-Strategy approach is Affinity [93]. It first extracts a set of keywords from each involved schema, after having applied some filters, like stopwords removal or stemming algorithms, on them. Extracted keywords are used to summarize the content of a schema. Afterwards, it constructs the distance between each pair of schemas by computing the Jaccard coefficient of the corresponding set of keywords. Finally, it uses this information as an input to a hierarchical clustering algorithm.

7.2. Uncertainty management in XML Matchers

In the latest years, an emerging and widespread belief in the Schema Matching research area is that the output generated by a Matcher is often uncertain. To describe this problem we introduce the following example.

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Example 7.1. Let us consider two fragments of two XSDs describing the contact details of a Student who is entitled of borrowing books from a University Library. The first fragment is reported in Figure 7(A); here the User element has the sub-element Contact. The second fragment is reported in Figure 7(B); in this case, the User element has the two sub-elements Mail and Phone.

\[
\begin{array}{c}
\text{(A)} \quad \text{User} \\
\quad \text{Contact}
\end{array}
\quad
\begin{array}{c}
\text{(B)} \quad \text{User} \\
\quad \text{Phone} \quad \text{Mail}
\end{array}
\]

Figure 7: Two fragments of XSDs representing the contacts of a user.

Assume to run a Matcher in order to find semantic matchings between the first and the second fragment. The Matcher could associate the same similarity score with the pairs \langle Contact, Phone \rangle and \langle Contact, Mail \rangle. Such a configuration is intrinsically uncertain because, in principle, we do not know if the matching \langle Contact, Phone \rangle is preferable to the matching \langle Contact, Mail \rangle.

A possible solution consists of requiring human advice to identify actual matchings.

In the absence of it, a potential solution would consist of listing all potential matchings and selecting the one having the highest score. Unfortunately, such a solution can yield to information loss. For instance, assume we want to know the contact details of all the students who borrowed a given book. Depending on the selected matching, different results will be obtained: If we assume as true the matching involving Contact and Mail we loose those users whose only information contact is given by phone number. By contrast, if we would opt for the matching involving Contact and Phone, we would fail to retrieve those users whose information contact is given only by mail address.

In order to manage uncertainty in Schema Matching process, several authors introduced the concept of probabilistic mapping, i.e. they suggested to associate a score with each discovered matching, stating its probability of being correct [33, 43, 88].

In [33] the authors studied uncertain matchings, but in the context of relational databases. They analyzed the complexity of evaluating Selection-Projection-Join (SPJ) queries in presence of uncertainty. Gal et al. [43] extended this approach to aggregation operators (e.g., COUNT).

We refer the reader to the excellent book by Gal [43] for an update survey on this topic.

The real problem is that the uncertainty management in the context of XML sources received much less attention and, to the best of our knowledge, there is only one approach, due to Cheng et al. [16], subsequently extended in [49], that deals with this issue. In detail, given a pair of DTDs/XSDs \( S \) (source schema) and \( T \) (target schema), the authors of [49] assume that one element \( u \) of \( S \) can form a matching with at most one element \( v \) of \( T \). Such a matching is also called correspondence. A set of correspondences between the source and the target schema is called mapping. As observed before, for each mapping, it is possible to compute the probability of its correctness. The number of mappings between \( S \) and \( T \) is exponential against the number of nodes in \( S \) (because any possible subset of the nodes of \( S \) can form a mapping), and this poses computational and storage challenges.

In fact, on one hand, an efficient procedure is required to extract mappings: For this purpose, the authors of [49] suggest to find only the \( h \) mappings with the highest probability, being \( h \) an ad-hoc parameter. This requires to solve an \( h \)-maximum bipartite matching problem [42, 57]. Unfortunately, this problem requires the management of large bipartite graphs, and this is still computationally demanding. In order to reduce the computational cost, the bipartite graph is recursively partitioned in a collection of smaller bipartite graphs, and a maximum bipartite matching algorithm is applied on each of them. The results of these algorithms are finally merged to produce the top-\( h \) mappings.

On the other hand, the space required for storing all derived mappings can be very large. In order to face this problem, the authors of [49] observe that available mappings generally present a high overlap, in the sense that different mappings could contain the same correspondence(s). As a consequence, all the correspondences shared by a sufficiently large number of mappings can be stored in an array called block. Blocks are managed by means of a tree (called block tree). In this tree, each node coincides with a node in the target schema and points to a block.
storing all the correspondences involving it. The block tree is also useful to efficiently evaluate queries (in particular, twig queries) by including uncertain mappings. For this purpose, a query is recursively decomposed into multiple sub-queries taking the structure of the block tree into account.

8. Discussion

The template described in this paper allowed us to shed some light into the commonalities between seemingly unrelated Matchers as well as to identify differences between approaches that are seemingly similar. In this section we want to summarize some facts of our analysis that, in our opinion, could be used in the design/development of new XML Matchers. The main facts we highlight are the following:

1. **Usage of existing matchings.** As observed in [85], existing matchings can be reused to improve the overall quality of the matching process. In the light of our analysis, the idea of reusing matchings has been explored in the context of DTD/XSD matchings, even if further research efforts are required. In particular, we point out the existence of standardized/commonly used namespaces which make the design of DTDs/XSDs easier. For instance, in Section 4.4 we observed that the XML Schema paradigm offers several methods (e.g., shared components) allowing the import/reuse of an XSD element defined in other XSDs. In our opinion, a promising strategy consists of finding matchings between elements defined in these namespaces and, next, to reuse these matchings when it is necessary to find the matchings of two XSDs. To clarify this concept, let us focus on the e-business domain and let us consider two popular standards for creating XSDs and XML documents, namely XCBL[3] and OpenTrans[4]. Let $S_1$ and $S_2$ be two XSDs; suppose that $S_1$ contains an element $e_1$ already defined in XCBL, whereas $S_2$ contains an element $e_2$ defined in OpenTrans. Assume, now, that some semantic matchings are available between XCBL and OpenTrans; in particular, suppose that a matching exists between $e_1$ and $e_2$; the pair $\langle e_1, e_2 \rangle$ forms a semantic matching between $S_1$ and $S_2$ and it can be used to find further matchings.

A similar strategy has been explored by SAP in the context of the Warp 10 project, with a special emphasis on the reuse of semantic matchings between XSDs in the business domain. The key idea is to build a global repository $G$ (called consolidated data model). Such a repository initially consists of standard business XSDs; these XSDs are, for instance, those provided by SAP or by other commercial actors. If new XSDs are available, they can be integrated in a wiki-like fashion (i.e., data modelers can collaborate to find matchings and each data modeler can reuse data types defined by the others). However, in this activity, the control of a domain expert is compulsory. If we need to match two XSDs $S_1$ and $S_2$, then we first consider the matchings between $S_1$ and $G$ and the matchings between $S_2$ and $G$. Next, these matchings can be composed to generate matchings between $S_1$ and $S_2$. However, to the best of our knowledge, the details of how SAP performs this composition are not publicly disclosed.

Due to the proliferation of public XSDs and their increasing use in several domains, like e-business and life science, the policy of identifying matchings between these XSDs and of reusing them in the matching of other XSDs should be encouraged. Therefore, a new XSD matching algorithm should explicitly consider the reuse of semantic matchings between commonly used or standardized namespaces.

2. **Integrity Constraints and the Usage of KEYREFS.** Most data models explicitly support integrity constraints: For instance, a basic example of integrity constraints is given by foreign keys in a relational schema; analogously, ID/IDREF and KEY/KEYREF pairs are useful to model integrity constraints in DTDs/XSDs[5]. Integrity constraints link a source element of a schema to a target one: For instance, a single IDREFS attribute can reference multiple ID elements in a DTD and this is useful to model 1 : $n$ relationships. Some authors [65] suggest to use integrity constraints in the matching process but, till now, most of the existing studies focus on relational schemas; for instance, in this context, a form of similarity can be recognized between two tables if they are linked by some referential constraints. In the context of XSDs, XIKE explicitly considers the usage of KEYREF: in particular, in the graph associated with an XSD, a KEYREF constraint is modeled as an edge connecting two nodes. We

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[3]www.xcbl.org
[4]www.opentrans.org
[5]It is worth pointing out that KEY/KEYREFS are valid only for XSD.
argue that referential constraints are useful to improve the accuracy of the schema matching approach and, therefore, they should be considered in new XML Matchers. The main lesson we learned from our study is that IDREFS and KEYREFS model a structural relationship between schema elements that differs from other kinds of relationship, like element/subelement; how to include referential constraints in the matching of two DTDs/XSDs is still an open research problem.

3. Computation of schema similarity and the $\phi$ function. From the analysis of both research prototypes and commercial systems, we observed that the computation of similarity between DTDs/XSDs will acquire an increasing relevance in the next years: For instance, the computation of schema similarities could be propaedeutic to cluster and integrate DTDs/XSDs. However, we recognized that only few of the discussed approaches compute schema similarities or, according to the notation introduced in Definition 2, just few approaches implement the $\phi$ function. If we look at all the implementations of $\phi$ together, it does not emerge any common pattern, and the different implementations of $\phi$ do not appear related to each other. As a consequence, we can conclude that none of these approaches is more generic (or more specific) than others; for this reason, it is also hard to compare the performance achieved by the different approaches. The definition of a unifying theory for the computation of schema similarity is an open research problem. The next XML matchers should consider the presence of multiple strategies for implementing the $\phi$ function and should provide suitable methods to combine the results produced by each implementation of $\phi$.

9. Conclusions

Finding semantic matchings between DTDs/XSDs is a key step to ensure a full interoperability across multiple data sources. In this paper we have provided a detailed analysis of approaches (that we called XML Matchers) explicitly designed to find matchings between DTDs/XSDs. We discussed in depth the opportunities (which, sometimes, represent also severe challenges) provided by some constructs which represent key components of the XML specification but are not available in other data modeling languages, like E/R diagrams or relational schemas (think, for instance, of distributed namespaces or of the hierarchical organization of schema elements). We introduced a template, called XML Matcher Template, to describe the main components of an XML Matcher, their role and their interactions. We used our template to characterize and compare a set of XML Matchers which gained a large popularity in the literature. Afterwards, we focused on commercial XML Matchers. Finally, we presented two important challenges related to XML Matchers, namely the clustering of large collections of DTDs/XSDs and the uncertainty management in XML Matchers.

Despite Schema Matching and XML Matching are success stories lighted up by brilliant research results, further efforts are required from both a theoretical perspective and a technological one. On one hand, external sources (like domain-specific dictionaries or thesauri), which played a significant role in early Schema Matching systems, are now accompanied by further information sources (like user query logs). Therefore, it becomes compulsory to design and test new Schema Matchers capable of handling the information offered by these sources in an effective and efficient fashion. On the other hand, in real-life scenarios, human experts are often part of the matching cycle, because, for instance, their intervention is required to configure the whole matching workflow or to provide a feedback on the correctness of matching candidates. Therefore, advanced graphical tools are required to better help them. These tools could support a human expert to select the fragment of DTDs/XSDs to match, the matching algorithms to apply and the auxiliary data sources to employ in the matching process. An advancement in these fields would be of great benefit for commercial systems, which often deal with large DTDs/XSDs containing hundreds of schema elements.

We argue that, in the future, the problems outlined above will catch the interest of researchers in both academy and industry, and we plan to analyze in detail scientific advancements in these fields.

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References

[1] XML Schema Part 1: Structures. W3C Recommendation, http://www.w3.org/TR/xmlschema-1, 2001.
[2] A. Algergawy, R. Nayak, and G. Saake. Element similarity measures in XML schema matching. Information Sciences, 180(24):4975–4998, 2010.
[3] A. Algergawy, E. Schallehn, and G. Saake. A schema matching-based approach to XML schema clustering. In Proc. of the International Conference on Information Integration and Web-based Applications Services (iiWAS 2008), pages 131–136, Linz, Austria, 2008. ACM Press.
[4] A. Algergawy, E. Schallehn, and G. Saake. Improving XML schema matching using Prüfer sequences. Data and Knowledge Engineering, 68(8):728–747, 2009.
[5] P. Antonellis, C. Makris, and N. Tsirakis. XEdge: clustering homogeneous and heterogeneous XML documents using edge summaries. In Proc. of the International ACM Symposium on Applied Computing (SAC’08), pages 1081–1088, Fortaleza, Brazil, 2008. ACM.
[6] D. Aumüller, H.H. Do, S. Massmann, and E. Rahm. Schema and ontology matching with COMA++. In Proc. of the ACM SIGMOD International Conference on Management of Data, pages 906–908, Baltimore, Maryland, USA, 2005. ACM.
[7] C. Batini, M. Lenzerini, and S.B. Navathe. A comparative analysis of methodologies for database scheme integration. ACM Computing Surveys, 15(4):323–364, 1986.
[8] G. Beliaiev, A. Pradera, and T. Calvo. Aggregation functions: A guide for practitioners. Studies in fuzziness & Soft Computing, 221:1–37, 2007.
[9] Z. Bellahsene, A. Bonifati, and E. Rahm, editors. Schema Matching and Mapping. Springer, 2011.
[10] P.A. Bernstein, J. Madhavan, and E. Rahm. Generic Schema Matching, Ten Years Later. Proceedings of the VLDB Endowment, 4(11):695–701, 2011.
[11] P.A. Bernstein, S. Melnik, and J.E. Churchill. Incremental Schema Matching. In Proc. of the International Conference on Very Large Data Bases (VLDB 2006), pages 1167–1170, Seoul, Korea, 2006. ACM Press.
[12] R. Bunescu and M. Pasca. Using encyclopedic knowledge for named entity disambiguation. In Proc. of the European Chapter of the Association for Computational Linguistics (EACL 2006), Trento, Italy, 2006. The Association for Computer Linguistics.
[13] D. Butler. A short survey of document structure similarity algorithms. In Proc. of the International Conference on Internet Computing (IC 2004), pages 3–9, Las Vegas, Nevada, USA, 2004. CSREA Press.
[14] M.J. Carey, S. Chandhedarizadeh, K. Mehta, P. Mork, L.J. Seligman, and S. Thatte. AL$MONY: Exploring Semantically-Assisted Matching in an XQuery-Based Data Mapping Tool. In Proc. of the International Workshop on Semantic Data and Service Integration, Vienna, Austria, 2007.
[15] K. Chen, J. Madhavan, and A. Y. Halevy. Exploring schema repositories with Schemr. In Proc. of the ACM SIGMOD International Conference on Management of Data (SIGMOD 2009), pages 1095–1098, Providence, Rhode Island, USA, 2009. ACM Press.
[16] R. Cheng, J. Gong, and D.W. Cheung. Managing uncertainty of XML schema matching. In Proc. of the International Conference on Management of Data (SIGMOD 2004), pages 392–397, Las Vegas, Nevada, USA, 2004. CSREA Press.
[17] G. Cobena, S. Abiteboul, and A. Marian. Detecting changes in XML documents. In Proc. of the IEEE International Conference on Data Engineering (ICDE 2002), pages 41–52, San Jose, California, USA, 2002. IEEE Computer Society.
[18] W.W. Cohen and H. Hirsh. Joins that Generalize: Text Classification Using WHIRL. In Proc. of the ACM SIGKDD International Conference on Knowledge Discovery (KDD 1998), pages 169–173, New York City, New York, USA, 1998.
[19] W.W. Cohen, P.D. Ravikumar, and S.E. Fienberg. A comparison of string distance metrics for name-matching tasks. In Proc. of the IJCAI-03 Workshop on Information Integration on the Web (IIWeb 2003), pages 73–78, Acapulco, Mexico, 2003.
[20] G. Costa, G. Manco, R. Ortale, and A. Tagarelli. A tree-based approach to clustering XML documents by structure. In Proc. of the European Conference on Principles of Knowledge Discovery in Databases (PKDD 2004), pages 137–148, Pisa, Italy, 2004. Springer.
[21] S. Cox, A. Cuthbert, R. Lake, and R. Martell. Geography markup language (gml) 2.0. URL: http://www.opengis.net/gml/01-029/GML2.html, 2001.
[22] T. Dalalas, T. Cheng, K. Winkel, and T.K. Sellis. A methodology for clustering XML documents by structure. Information Systems, 31(3):187–228, 2006.
[23] P. De Meo, G. Quatrinnone, G. Terracina, and D. Ursino. Deriving sub-schema similarities from semantically heterogeneous XML sources. In Proc. of the International Conference on Cooperative Information Systems (CoopIS 2004), pages 209–226, Agia Napa, Cyprus, 2004. Lecture Notes in Computer Science, Springer.
[24] P. De Meo, G. Quatrinnone, G. Terracina, and D. Ursino. Extraction of synonymies, hyponymies, overlappings and homonymies from XML Schemas at various “severity” levels. In Proc. of the International Database Engineering and Applications Symposium (IDEAS 2004), pages 389–394, Coimbra, Portugal, 2004. IEEE Computer Society.
[25] P. De Meo, G. Quatrinnone, G. Terracina, and D. Ursino. Integration of XML Schemas at various “severity” levels. Information Systems, 31(6):397–434, 2006.
[26] P. De Meo, G. Quatrinnone, G. Terracina, and D. Ursino. An approach to extracting interschema properties from XML schemas at various severity levels. Informatica, 31:217–232, 2007.
[27] P. De Meo, G. Quatrinnone, G. Terracina, and D. Ursino. Semantics-guided clustering of heterogeneous XML Schemas. Journal on Data Semantics, 9:39–81, 2007.
[28] R. Dhamankar, Y. Lee, A. Doan, A. Halevy, and P. Domingos. Imp: Discovering complex semantic matches between database schemas. In Proc. of the ACM International Conference on Management of Data (SIGMOD 2004), pages 383–394, Paris, France, 2004. ACM Press.
[29] H. Do and E. Rahm. COMA - a system for flexible combination of schema matching approaches. In Proc. of the International Conference on Very Large Databases (VLDB 2002), pages 610–621, Hong Kong, China, 2002. VLDB Endowment.
[30] H. Do and E. Rahm. Matching large schemas: Approaches and evaluation. Information Systems, 32(6):857–885, 2007.
[31] A. Doan, P. Domingos, and A. Halevy. Reconciling schemas of disparate data sources: a machine-learning approach. In Proc. of the ACM International Conference on Management of Data (SIGMOD 2001), pages 509–520, Santa Barbara, California, USA, 2001. ACM Press.
A. Wojnar, I. Mlynkova, and J. Dokulil. Structural and Semantic Aspects of Similarity of Document Type Definitions and XML Schemas. In Proc. of the International Conference on Cooperative Information Systems (CoopIS 2001), volume 2172 of Lecture Notes in Computer Science, pages 433–448, Trento, Italy, 2001. Springer.

P. Murray-Rust. Chemical Markup Language. World Wide Web Journal, 2(4):135–147, 1997.

A. Nandi and P.A. Bernstein. HAMSTER: Using Search Clicklogs for Schema and Taxonomy Matching. Proceedings of the VLDB Endowment, 2(1):181–192, 2009.

R. Nayak and W. Iryadi. XML schema clustering with semantic and hierarchical similarity measures. Knowledge-Based Systems, 20(4):336–349, 2007.

R. Nayak and T. Tran. A Progressive Clustering Algorithm to Group the XML Data by Structural and Semantic Similarity. International Journal of Pattern Recognition and Artificial Intelligence, 21(4):723–743, 2007.

A. Nierman and H.V. Jagadish. Evaluating structural similarity in XML documents. In Proc. of the International Workshop on the Web and Databases (WebDB 2002), pages 61–66. Madison, Wisconsin, USA, 2002.

L. Palopoli, D. Saccà, G. Terracina, and D. Ursino. Uniform techniques for deriving similarities of objects and subschemes in heterogeneous databases. IEEE Transactions on Knowledge and Data Engineering, 15(2):271–294, 2003.

E. Peukert, J. Eberius, and E. Rahm. AMC: A framework for modelling and comparing matching systems as matching processes. In Proc. of the International Conference on Data Engineering (ICDE 2011), pages 1304–1307. Hannover, Germany, 2011. IEEE Computer Society.

P. Pigozzo and E. Quintarelli. An algorithm for generating XML Schemas from ER Schemas. In Proc. of the Italian Symposium on Advanced Database Systems (SEBD 2005), pages 192–199, Brixen, Italy, 2005.

S.P. Ponzetto and M. Strube. Knowledge derived from wikipedia for computing semantic relatedness. Journal of Artificial Intelligence Research (JAIR), 30:181–212, 2007.

H. Pruefer. Neuer beweis eines satzes aber permutationen. Archiv für Mathematik und Physik, 27:742–744, 1918.

W. Qian, L. Zhang, Y. Liang, H. Quan, and W. Jin. A two-level method for clustering DTDs. In Proc. of the International Conference on Web-Age Information Management (WAIM 2000), pages 41–52. Shanghai, China, 2000. Lecture Notes in Computer Science, Springer.

C. Quix, D. Kenschke, and X. Li. Matching of ontologies with xml schemas using a generic metamodel. In Proc. of the OTM Confederated International Conferences (OTM 2007), pages 1081–1098, Vilamoura, Portugal, 2007. Lecture Notes in Computer Science, Springer.

D. Rafiei, D.L. Moise, and D. Sun. Finding Syntactic Similarities Between XML Documents. In Proc. of the International Workshop on XML Data Management Tools and Techniques (XANTEC 2006), pages 512–516, Krakow, Poland, 2006. IEEE Computer Society.

E. Rahm. Towards large-scale schema and ontology matching. In Z. Bellahsene, A. Bonifati, and E. Rahm, editors, Schema Matching and Mapping, pages 3–28. Springer-Verlag, 2011.

E. Rahm and P.A. Bernstein. A survey of approaches to automatic schema matching. VLDB Journal, 10(4):334–350, 2001.

E. Rahm, H.H. Do, and S. Malikmann. Matching large XML schemas. ACM SIGMOD Record, 33(4):26–31, 2004.

H. Roßmann, A. Gal, and C. Domshlak. Providing top-k alternative schema matchings with oneto match. Proc. of the International Conference on Conceptual Modeling (ER 2008), pages 538–539, 2008.

A. Das Sarma, X. X. Dong, and A. Halevy. Bootstrapping pay-as-you-go data integration systems. In Proc. of the ACM SIGMOD International Conference on Management of Data (SIGMOD 2008), pages 861–874, Vancouver, BC, Canada, 2008. ACM.

P. Shvaiko and J. Euzenat. A survey of schema-based matching approaches. Journal on Data Semantics IV, pages 146–171, 2005.

P. Shvaiko and J. Euzenat. Ontology matching: State of the art and future challenges. IEEE Transactions on Knowledge and Data Engineering, 25(1):158–176, 2013.

P. Shvaiko, F. Giunchiglia, and M. Yatskevich. Semantic matching with S-Match. In Semantic Web Information Management: a Model-Based Perspective, pages 183–202. Springer, 2010.

M. Smiljanic, M. van Keulen, and W. Jonker. Formalizing the XML Schema Matching Problem as a Constraint Optimization Problem. In Proc. of the International Conference on Database and Expert Systems Applications (DEXA 2005), Lecture Notes in Computer Science, pages 333–342, Copenhagen, Denmark, 2005. Springer.

K. Smith, C. Bonaceto, C. Wolf, B. Yost, M. Morse, P. Mork, and D. Burdick. Exploring schema similarity at multiple resolutions. In Proc. of the ACM SIGMOD International Conference on Management of Data (SIGMOD 2010), pages 1179–1182, Indianapolis, Indiana, USA, 2010. ACM Press.

K. Smith, M. Morse, P. Mork, M.H. Li, A. Rosenthal, D. Allen, and L. Seligman. The role of schema matching in large enterprises. In Proc. of the Fourth Biennial Conference on Innovative Data Systems Research (CIDR 2009), Asilomar, California, USA, 2009. www.crdrdb.org.

F. Suchanek, G. Kasneci, and G. Weikum. Yago: a core of semantic knowledge. In Proc. of the International Conference on World Wide Web (WWW 2007), pages 697–706, Banff, Canada, 2007. ACM.

Andrea Tagarelli. Exploring dictionary-based semantic relatedness in labeled tree data. Information Sciences, 220:244–268, 2013.

K.C. Tai. The Tree-to-Tree correction problem. Journal of the ACM, 26:422–433, 1979.

M. Theobald, R. Schenkel, and G. Weikum. Exploiting Structure, Annotation, and Ontological Knowledge for Automatic Classification of XML Data. In Proc. of the International Workshop on the Web and Databases (WebDB 2003), pages 1–6, San Diego, California, USA, 2003.

E. Wilde and R. Glushko. XML fever. Communications of the ACM, 51(7):80–46, 2008.

A. Wagner, I. Mlynkova, and J. Dokulil. Structural and Semantic Aspects of Similarity of Document Type Definitions and XML Schemas. Information Sciences, 180(10):1817–1836, 2010.

XML Schema Definition Language (XSD). W3C Consortium. URL: http://www.w3.org/TR/xmlschema11-1/, 2012.
[102] J. Yang, W.K. Cheung, and X. Chen. Integrating element and term semantics for similarity-based XML document clustering. In Proc. of the IEEE/WIC/ACM International Conference on Web Intelligence (WI’05), pages 222–228, Compiegne-Cedex, France, 2005. IEEE Computer Society.

[103] S. Yi, B. Huang, and W. T. Chan. XML application schema matching using similarity measure and relaxation labeling. Information Sciences, 169:27–46, 2005.