INTRODUCTION
Multi-drug therapy is an ancient phenomenon to combat interrelated symptoms of the diseased state of human beings. The pharmaceutical formulations with combinations of drugs have shown an increasing trend to counteract other symptoms specific to one drug formulation, and hence analytical chemist will have to accept the challenge of developing reliable methods for analysis of drugs in such formulation. Multicomponent analysis using spectrophotometry has become an attractive tool for the analyst since microprocessor-based spectrophotometers join with cumbersome computers are widely used and have been performed for almost as long as single-component analysis. The spectrophotometric multi-component analysis can be applied where the spectra of drugs overlap. In such cases of overlapping spectra, multicomponent analysis can be applied to any degree of spectral overlap provided that two or more spectra are not similar exactly [1].

Several spectrophotometric determination methods have been used for resolving mixtures of compounds with overlapping spectra, such as classical derivative spectrophotometry, Vierordt's method and its modified version, orthogonal function method, Fourier functions, and least-square method, the multi-component analysis program, partial least squares regression (PLSR), principal component regression (PCR), multi-wavelength linear regression analysis (MLRA) and H-point standard addition method (HPSAM). But derivative spectrophotometry offers a range which is more reliable with respect to utility and sensitivity than normal spectrophotometry. DERIVATIVE UV SPECTROSCOPIC APPROACHES IN MULTICOMPONENT ANALYSIS–A REVIEW

ABSTRACT
The spectrophotometric multi-component analysis involves spectrum recording and mathematical equations. However, spectral interference poses a major limitation when mixture samples are encountered. To overcome this derivative spectrophotometry (DS) has been introduced for the resolution of overlapping peaks.

In this review modified methods like derivative quotient spectra, double divisor ratio spectra derivative method, double divisor means centering of ratio spectra method, derivative subtraction coupled with the constant multiplication method (DS-CM), amplitude subtraction (AS), modified amplitude subtraction (MAS), amplitude factor method (P-Factor), amplitude modulation method (AM), amplitude summation method (A-Sum), simultaneous derivative ratio spectrophotometry (S'DD), derivative compensation ratio via regression equation, differential dual wavelength (D'DW), differential derivative ratio (D'DR), successive derivative subtraction method (SDS) and derivative transformation (DT) of derivative spectrophotometry theories and applications are reviewed.

These methods were applied to solve different complex pharmaceutical mixtures. These developed methods were simple and cost-effective.

Keywords: Multicomponent analysis, Derivative spectrophotometry, Overlapping peaks, Derivative quotient spectra, Derivative subtraction, Simultaneous derivative ratio spectrophotometry, Derivative transformation, Complex pharmaceutical mixtures

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INTRODUCTION
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When carrying out a multicomponent analysis the Bouguer-Lambert-Beer law must be valid, i.e. absorbances must be additive over the concentration range, i.e. components must not interact. The greater the similarity between the spectra of individual components the more difficult and inaccurate the analysis where the choice of optimum wavelengths for the spectral analysis plays an important role. Interaction with the solvent must be excluded. Impurities absorbing in the same region can lead to considerable errors when measuring absorbances.

Values taken from the steep flanks of spectral bands should not be included in the analysis since an error in setting the wavelength causes a large error in absorbance. i.e. \( \text{dA/d}λ\) is very large in this case. In contrast, \( \text{dA/d}λ\) is small in the region of the absorption maxima, absorption minima, and pronounced shoulders. Very large or very small absorbances should be avoided since photometric accuracy is inferior in both cases.

The resolution of a spectrophotometer (slit program) should be set accurately for quantitative analysis, characterization, and quality control in the agricultural, pharmaceutical, and biomedical fields. Derivative spectrophotometry (DS) is an analytical technique of great utility for resolving drugs mixtures with overlapping spectra. This outstanding feature coupled with zero-crossing, least-square deconvolution, or Fourier transforms data-processing techniques, has received increasing attention in single and multicomponent quantitative analysis, especially in UV-absorbing matrices. DS has been applied successfully for the determination of drugs in the presence of their degradation's products [2]. Several review articles focussing on the simultaneous estimation of drugs in various formulations like tablets, injections, eye drops, etc., have been published in indexed (Science Direct, NCBI, Scopus, Pubmed) journals in the recent past (1992-2018) making it interesting to explore the variations in derivative spectrophotometry (searched for double divisor means, derivative subtraction, derivative transformation, etc.) for better analytical interpretation in UV Visible spectroscopy.

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The resolution of a spectrophotometer (slit program) should be set in such a way that the bands are optimally resolved. The measurement of the mixture must take place under the same instrumental conditions as that of the components [3].

Beer-lambert law

When a beam of light is passed through a transparent cell containing a solution of an absorbing substance, reduction of the intensity of light may occur [4].

\[
A = εbc
\]

A-Absorbance; \( ε \)-Molar absorptivity; b-Path length; c-Concentration
**Principles of multi-component spectrometric analysis**

If a system is containing several absorbing components, it follows the principle of additivity of absorbances, i.e. the absorbance of a system containing several components is equal to the sum of absorbances of all individual components at a particular wavelength, and if no mutual interaction takes place between them, then

\[
\sum_{i} c_i \varepsilon_{i,j} L
\]

Where \( \varepsilon_{i,j} \) is the molar absorptivity of the component 'i' at the \( \lambda \) wavelength and "L" is the path length.

**Derivative spectrophotometry (DS)**

The derivative method in UV–visible was introduced in 1953. However, as with any measurement technique, it is possible that derivative measurements, if used incorrectly, may actually introduce errors larger than would have been observed without its use. DS has become more practical owing to the increase in the resolving power of analytical instrument and the easier access to microcomputers with appropriate software, which allows the almost instantaneous generation of derivative spectra. This facility in the collection and treatment of the spectra has allowed analysis of multicomponent mixtures of analytes with strong overlapping spectra. The great interest towards DS is due to the increased resolution of spectral bands, allowing the detection and location of the wavelengths of poorly resolved components of complex spectra and reducing the effect of spectral background interferences. Understanding of the derivative concept will minimize this possibility. DS uses first or higher derivatives of absorbance with respect to wavelength for qualitative analysis and for quantification [5].

**Basic characteristics of derivative spectrophotometry**

a) The increase of spectral resolution.

b) Elimination of the influence of baseline shift and matrix interferences.

c) Enhancement of the detectability of minor spectral features.

d) Precise determination of the positions of absorption maxima [6]

---

**Fig. 1: Zero-order (A) and consecutive derivative spectra (B→F) of an aqueous solution of promazine hydrochloride (10 ppm) [6]**
Basic theory and properties of derivative spectrophotometry

DS is a technique which is based on derivative spectra of a basic, zero-order spectrum. Derivative spectrum can be expressed as:

\[ \text{d}D_x = \frac{\text{d}A}{\text{d}I} = \frac{A_l}{l} \]

or

\[ \text{d}D_m = \frac{\text{d}A}{\text{d}v} = \frac{I}{I_f} \]

Where, n-derivative order

\[ a_{Dx}, \lambda \] or \[ a_{Dx}, v \] represents the value of n-orders derivative on an analytic value (x) at the analytical wavelength (λ) at wave number (v)

A-absorbance.

DS keeps all features of classical spectrophotometry: Beer-Lambert law and law of additivity.

Beer-Lambert law differential form is expressed as:

\[ dD = \varepsilon c \text{dm} \]

Where,

\[ \varepsilon \]-molar absorption coefficient (L. mol\(^{-1}\). cm\(^{-1}\))

\[ c \] -concentration of the analyte (mol L\(^{-1}\)).

I is the thickness of the solution layer (cm).

The derivative spectrum of the n-component mixture is a sum of derivative spectra of individual components:

\[ D_n = D_1 + D_2 + ... + D_n \]

A new feature of DS is the dependence of derivatization results on a geometrical characteristic of starting zero-order spectrum. The shape and intensity of the resulted derivative spectrum depend on half-height width of the peak in the basic spectrum:

\[ D = P^k A_{\text{half}} \text{L}^{-1} \]

Where,

\[ P \] -polynomial described a run of the n-derivative curve,

\[ L \] -width of half-heights of the peak of the zero-order spectrum.

N-derivative order

Due to this property, broad zero-order spectra are quenched with the generation of higher orders of derivatives while narrow undergo amplification. If the zero-order spectrum possesses two bands A and B which differ from their half-height's width (LB>LA), after a generation of n-order derivative a ratio of derivatives intensity can be expressed as:

\[ D_n / D_1 = (L_B/L_A)^n \]

This dependence leads to an increase in selectivity and/or sensitivity of the assay. It allows to use for analytical properties a narrow band, overlapped or completely hooded by a broad one.

The shape of the derivative spectrum is more complicated than its parent one (fig. 1). New maxima and minima appear results of derivatization. The generation of n-th order derivative spectrum produces (n+1) new signals: an intense main signal and weaker bands, so-called satellite or wings signals. The position of maxima or minima depends on the order of derivative. The main extreme of derivative spectra of even order is situated at the same wavelength as a maximum in zero-order spectrum, but for 2, 6 and 10th order it becomes minimum in the derivative spectrum and for 4, 8 and 12th order it remains a maximum (fig. 1). The point of initial maximum converts into the point of inflection in derivative spectra of odd order. A narrowing of new signals is observed during the generation of consecutive derivative spectra. This feature leads to narrowing bands and as a consequence of the separation of overlapped peaks.

Derivative quotient spectra

This method was developed by Salinas with a standard divisor when the spectra of the components are overlapped. Based on dividing the spectrum for a mixture into the standard spectra for each of the analyses and dividing the quotient to obtain an independent analyte concentration used as the divisor. The use of standard divisor minimizes experimental errors and background noises. Some co-existing compounds have no maximum or minimum at wavelengths are the advantage for the ratio spectra derivative spectroscopy compared to zero crossing derivative spectroscopy.

A mixture of three compounds A, B and C from the absorption spectrum is determined by the flowing equation:

\[ A_{M, AL} = a_{M, A} C_A + a_{M, B} C_B + a_{M, C} C_C \]  (Eq. 1)

Where,

\[ A_{M, AL} \] -absorbance value of the mixture at λ,

\[ a_{M, A}, a_{M, B}, a_{M, C} \] -molar absorptivity’s of A, B and C at λ,

\[ C_A, C_B, C_C \] - molar concentrations of A, B and C.

Dividing the spectrum by the spectrum of a standard solution of one of the substance A of concentration C_A, i.e., by

\[ A_{M, AL} = \frac{a_{M, A} C_A}{C_A} + \frac{a_{M, B} C_B}{C_A} + \frac{a_{M, C} C_C}{C_A} \]  (Eq. 2)

Obtain,

\[ A_{M, AL} = \frac{A_{M, A}}{C_A} + \frac{A_{M, B}}{C_A} + \frac{A_{M, C}}{C_A} \]  (Eq. 3)

First derivative of the spectrum ratio gives

\[ \frac{d}{dC_A} \left( \frac{A_{M, A}}{C_A} \right) = \frac{A_{M, A}}{C_A^2} \]  (Eq. 4)

if \( C_A = v \) have the binary mixture of A and B.

In case of the spectrum:

\[ \frac{d}{dC_A} \left( \frac{A_{M, A}}{C_A} \right) = \frac{A_{M, A}}{C_A^2} \]  (Eq. 5)

From the equation (Eq. 5) the derivative ratio spectrum of binary mixture is depending only on the value of C_A and independent of the value of C_B in the binary mixture.

Binary mixtures of diazepam (D) and otilonium (O) are analyzed ratio spectra DS. It is based on dividing the absorption spectrum of the mixture of (DandO) into the standardized spectra for each of the analytes. Derivatization of obtained spectra gives derivative spectra that is independent to the analyte concentration used as the divisor (fig. 2) shows the first derivatives of the ratio spectra of different concentrations.

By a combination of zero crossing derivative technique and derivative ratio, spectra can resolve the ternary mixture. (Eq. 4) indicates that the derivative ratio spectrum of the ternary mixture is dependent only on C_A, C_B and C_C and independent of the value of C_B in the binary mixture. The concentration of B and C can be determined by the zero-crossing method by measuring the derivative value at adequate wavelengths. The second derivative of \( \frac{d}{dC_A} A_{M, AL} \) gives

\[ \frac{d^2}{dC_A^2} \left( \frac{A_{M, A}}{C_A} \right) = \frac{A_{M, A}}{C_A^3} \]  (Eq. 6)

In this (Eq. 6) [9] the second derivative ratio spectrum is dependent only on \( C_A, C_B \) and \( C_C \) [7].

Applications

This method has been used in the determination of Olmesartan medoxomil, Hydrochlorothiazide and Amlodipine besylate, antihypertensive drugs in a ternary mixture with good precision and this method minimizes experimental errors, background noises and do not need tedious extraction procedures or complicated instruments [8].
Double divisor ratio spectra derivative method

This method was proposed by Dinc. It is a new technique for the determination of three compounds in ternary mixtures. This method based on the derivative of ratio spectrum obtained by dividing the absorption spectrum of the ternary mixtures by a standard spectrum of a mixture of two of the three components in the main mixture. The concentration of three compounds in the mixture was determined by using their respective calibration graphs that were obtained by measuring the amplitude at either the maximum or minimum wavelengths selected [10, 11].

In this method, to determine species A, the absorption spectra of the mixture containing AB and C were divided by the sum of the spectra of B and C as “double divisor” and the ratio spectra were obtained. First derivative of ratio spectra was calculated. The amplitudes measured at selected wavelength \( \lambda_i \) were dependent only on the concentration's values of C_A and C_C (the standard concentration), but were independent of the concentration values C_B and C_C in the ternary mixture. The mathematical expression of this procedure is shown in the following equation:

\[
\frac{d}{d\lambda} \left( \frac{\lambda_i}{\sum_{i=1}^{3} \lambda_i} \right) = \frac{d}{d\lambda} \left( \frac{\lambda_i}{\sum_{i=1}^{3} \lambda_i} \right) \frac{\lambda_i}{C_A} \quad \text{Eq. 7}
\]

The amplitudes measured, \( d/d\lambda (\lambda_i) \), were drawn as a graph versus concentration of species A, and a straight line was obtained. By using the calibration graph, one could determine the A species in the mixture of A, B and C.

Where, \( \lambda_{A, B, C} \) are the molar absorptivity's of the species A, B and C respectively.

Applications

This method was used in the estimation of a ternary mixture Guaiifenesin, Dextromethorphan HBR, and Diphenhydramine HCl in pharmaceutical dosage forms [12].

Double divisor means centering of ratio spectra method

If a mixture of five compounds is considered and Beer's law is obeyed for all compounds over the whole wavelength range used as given in the following example [13, 14] consisting of paracetamol (PA), methylparaben (MP), propylparaben (PP), chlorpheniramine maleate (CH) and pseudoephedrine hydrochloride (PS), then

\[
\mathbf{A}_{mx} = \mathbf{A}_{mp} + \mathbf{A}_{pp} + \mathbf{A}_{ch} + \mathbf{A}_{ps}
\]

Where,

\[
\mathbf{A}_{mp}, \mathbf{A}_{pp}, \mathbf{A}_{ch}, \mathbf{A}_{ps} = \text{absorbptivity vectors of PA, MP, PP, CH and PS}
\]

\[
\mathbf{C}_{mp}, \mathbf{C}_{pp}, \mathbf{C}_{ch}, \mathbf{C}_{ps} = \text{concentrations of PA, MP, PP, CH and PS}
\]

Absorptivity A: (1%, 1 cm) values were calculated by using the absorbance for zero-order spectra for each of the compounds in the five-component mixture.

Eq 8 is divided by \( v_{mp}C_{mp} + v_{pp}C_{pp} + v_{ch}C_{ch} + v_{ps}C_{ps} \) corresponding to the spectrum of a standard solution of CMP and CPP the first ratio spectrum is obtained

\[
X = \frac{\mathbf{A}_{mx}}{v_{mp}C_{mp} + v_{pp}C_{pp}} \quad \text{Eq. 9}
\]
Determination of components of a mixture by derivative subtraction coupled with the constant multiplication method (DS-CM)

The concentration of each component in a mixture can be determined using the DS-CM method. This method involves two steps:

1. Derivative subtraction: The first derivative spectrum of the mixture is obtained.
2. Constant multiplication: The spectrum is divided by a constant to obtain the concentration of each component.

The DS-CM method is an extension of the derivative subtraction (AS) method, where the concentration of each component is determined by multiplying the constant of the divisor by the previously obtained concentration of the component. This method has the advantages of high sensitivity, extremely low detection limit, and good selectivity.

Applications

This method was used in the routine simultaneous determination of Paracetamol (PA), Methylparaben (MP), Propylparaben (PP), Chlorpheniramine maleate (CH) and Pseudoephedrine hydrochloride (PS) in a pharmaceutical syrup. This method has the advantages of high sensitivity, extremely low detection limit, and good selectivity.

Reference

1. Sowjanya et al. Int J Pharm Pharm Sci, Vol 11, Issue 2, 1-11.
The proposed methods are also suitable and valid for application in laboratories lacking liquid chromatographic instruments [18].

**Limitations**

- Critical measurements of the amplitudes at the selected wavelength.
- Greatly affected by wavelength increment.
- The high noise which affects the signal to noise ratio.
- Only applied for partially overlapped spectra of X and Y [19].

**Modified amplitude subtraction (MAS)**

In case of having a mixture of two drugs X and Y, and the first derivative spectra of both drugs show overlapped peaks at λ₂, while only the first derivative spectra of Y show a peak at λ₁. Two calibration curves are constructed relating the peak amplitude of Y at λ₁ versus the corresponding concentration of Y (equation 14) and the peak amplitude of Y at λ₂ versus the corresponding concentration of Y (equation 15). The mixture is scanned, and the first derivative spectrum of the mixture is determined. First, the peak amplitude of mixture at λ₁ is recorded and by substituting it in equation 15 the concentration of Y can be calculated. Then the calculated concentration is substituted in equation 14 to determine the peak amplitude of Y in the mixture at λ₂. By subtracting the postulated peak amplitude at λ₁ from the recorded peak amplitude of the mixture at the same wavelength, the peak amplitude of drug X can be determined. A regression equation is constructed representing a linear relationship between the peak amplitude of the first derivative spectra at λ₁ versus the corresponding concentration of X allowing the determination of the concentration of drug X [16].

**Applications**

This method can be applied for severely overlapped spectra of X and Y. It is used in the determination of Sitagliptin phosphate with Metformin hydrochloride in tablets [17], Lidocaine HCl, Calcium Dobsilate, and Dexamethasone Acetatein their binary mixture were conveniently quantified using the modified amplitude subtraction method [16].

This is considered to be advantageous over amplitude subtraction as the only requirement is the presence of one wavelength where both drugs are severely overlapped and it gives the chance of using any conventional spectrophotometric method for the determination of one of the two components and so it is more flexible. In addition, there is no need for a special regression equation to be computed; it requires only the construction of two calibration curves relating the peak amplitudes of the pure drugs at the overlapping wavelength versus their corresponding concentrations.

**Limitations**

- Critical measurements of the amplitudes at the selected wavelength.
- Greatly affected by wavelength increment.
- The high noise which affects the signal to noise ratio [19].

**Amplitude factor method (P-Factor)**

This method can be used in case of having a mixture of X and Y, where the first derivative spectra of Y shows two peaks at two different wavelengths (λ₁ and λ₂), and the first derivative spectra of X shows one peak that is overlapped with Y peak of at λ₁, while shows no contribution at λ₂.

The spectra are overlapped at wavelength 219 nm, while at 334 nm there is no contribution of PER, only AML is detected. The average value of the amplitude factor of pure AML at different concentrations was calculated using the following equation:

\[ P_{219} = \frac{P_{219 \text{nm}}}{P_{334 \text{nm}}} \]

The value was found to be 6.7471. The mixture was scanned and the first derivative spectrum was determined. Since the peak amplitude of the mixture at 334 nm represents only AML, as there is no contribution of PER at this wavelength, then the amplitude of PER can be determined using the following equation:

\[ P_{219 \text{nm}} = \frac{P_{219 \text{nm}} (\text{PER}+\text{AML}) - (P_{219 \text{nm}}/P_{334 \text{nm}}) \times P_{219 \text{nm} (\text{PER}+\text{AML})}}{P_{334 \text{nm} (\text{PER}+\text{AML})}} \]

Where; \( P_{219} \) is the amplitude factor of pure, AML \( (P_{219 \text{nm}}/P_{334 \text{nm}} = 6.7471) \), \( P_{334 \text{nm} (\text{PER}+\text{AML})} \) is the amplitude of the mixture at 219 nm, \( P_{334 \text{nm} (\text{PER}+\text{AML})} \) is the amplitude of AML only at 334 nm. The concentrations of PER and AML were calculated from the corresponding regression equations obtained by plotting the amplitude values of the first derivative spectra at 219 nm and 334 nm versus the corresponding concentrations, respectively.

**Applications**

This method is used in the determination of Lidocaine HCl, Calcium dobesilate, and Dexamethasone acetate [16]. Literature also revealed the quantitative analysis of Chloramphenicol, Dexamethasone sodium phosphate and Tetryzoline HCl [21] in eye drops using P-factor method. Simultaneous estimation of Sitagliptin phosphate and metformin HCl [17], Omeprazole, Tinidazole and Doxycycline [22] in dosage forms were also reported by this method.

This method also has the same limitations as amplitude subtraction method.

**Amplitude modulation method (AM)**

The method is a novel ratio spectrum manipulating method using the normalized spectrum of the divisor obtained by dividing certain spectrum of Y’ component by its concentration [21]. For a mixture of X and Y, where Y is more extended than X; X and Y shows is absorbptive point at the zero spectrum and consequently is retained as an isosbestic point at the ratio spectrum. At, \( \lambda_{iso} \)

\[
\begin{align*}
[&A_m] = [A_x] + [A_y] \\
[&A_y] = [a_xC_x] + [a_yC_y] \\
&P_m = P_0 + P_y
\end{align*}
\]

Divide the previous equation with spectrum of Y as a divisor to obtain the isosbestic point of the ratio spectrum (at the same wavelength of the isoabsorptive point present in zero order spectra), so the following equation was obtained:

\[
\begin{align*}
&[A_m] = [a_xC_x] + [a_yC_y] \\
&P_m = P_0 + P_y \\
&P_y &= \frac{[a_yC_y]}{[a_xC_x]}
\end{align*}
\]

\[
\begin{align*}
&P_m = P_0 + P_y \\
&P_y &= \frac{[a_yC_y]}{[a_xC_x]}
\end{align*}
\]

P₀, Pₓ and Pᵧ-The amplitude of constant (Pₓ) \( [a_xC_x/a_yC_y] \) can be measured directly from the ratio spectrum in the region where Y is extended since the constant is a straight line parallel to the wavelength axis in this region.

Upon using the normalized spectrum of Y’, the following equation was obtained:

\[
\begin{align*}
&P_m = P_0 + P_y \\
&P_y = \frac{[a_yC_y]}{[a_xC_x]} \times \text{constant} \\
&P_y = \frac{[a_yC_y]}{[a_xC_x]} \\
&P_x = \frac{[a_xC_x]}{[a_yC_y]}
\end{align*}
\]
The recorded amplitude of the constant was modulated to concentration, so it was representing the concentration of Y \( [C_y] \). For the determination of X, we subtract the measured value of the constant from the ratio spectrum at \( \lambda_{iso} \).

\[ P_y = P_{iso} - P_x \]

\[ P_y = \left[ \frac{[a_y[C_y]}{[a_x]} \right] \frac{\text{const.}}{\text{const.}} \]

Since, at the isosbestic point \( a_y = a_x, C_x = C_y \).

This obtained amplitude of ratio spectrum was modulated to concentration and it was representing the concentration of X \( [C_x] \). (C recorded of X).

To eliminate any error, those recorded concentrations of X and Y could be corrected to the actual concentrations by using the following regression equation:

\[ C_{recorded} = \text{slope} \times C + \text{intercept} \]

The slope was found to be around unity and intercept was found to be around zero.

Where; \( C_{recorded} \) represents the recorded amplitudes corresponding to the concentrations of X or Y that were obtained from the ratio spectrum using the normalized spectrum of Y as a divisor and C represents the corresponding concentrations of X or Y.

Applications

This method has advantage over the isosboretic point at zero order that it measures the concentration of both components with no need for another conventional method to measure one of the components in the mixture. This method has advantages over the newly developed absorbance subtraction method (AS) through using the normalized divisor, where the obtained amplitude at the ratio spectrum will directly represent the concentration of each component and so the risk of error upon the determination of absorbance factor of lower absorbance will be reduced through the elimination of the absorbance factor step. That is why the sensitivity of this method is better than AS method. This method was applied for the analysis of the ternary mixture of Chloramphenicol hydrochloride (TZH), Desamethasone sodium phosphate (DXM) and Tetryzoline HCl in eye drops.

Amplitude summation method (A-Sum)

This novel method is applied for a mixture of X and Y, where X and Y spectra show isosboretic point at the zero spectrum; while first derivative spectra (D) of Y shows no contribution with that of X at a certain wavelength. By calculating the first derivative spectra (D) of equal concentration of X and Y, at equal path length, it was found that the D spectra intersect at an isosboretic point at the wavelength which shows the certain shift from the isosboretic point found in zero order spectra, so the following equation was obtained:

\[ D = \frac{dx}{dz} \]

For a mixture of both drugs, the amplitude at that wavelength \( [\lambda_{iso}] \) could be calculated from the equation:

\[ D_{TH} = \frac{d\text{iso}}{d[C_x]} (C_x = C_y) \]

Where \( D_x, D_y \) and \( D_{TH} \) are the D amplitudes of the total of mixture, X and Y, respectively at \( \lambda_{iso}, C_x \) and \( C_y \) are the concentrations of X and Y respectively, \( d_x \) and \( d_y \) are the differences of the absorbivity's of X and Y at the specified \( d_x \) and \( d_y \) are the pathlengths (1 cm).

Since X and Y interfere at \( \lambda_{iso} \) and X does not show any contribution at another wavelength \( \lambda_2 \), so the postulated amplitude of Y in the mixture at \( \lambda_{iso} \) can be calculated using its response factor between the two proposed wavelengths (\( \lambda_1 \) and \( \lambda_2 \)). The amplitude corresponding to X could be calculated by difference between recorded amplitude corresponding to total \( (X+Y) \) and the postulated amplitude corresponding to Y. The concentration of X and Y can be separately calculated using the same regression equation (obtained by plotting the first derivative amplitude (D) of either X or Y at \( \lambda_{iso} \) against their corresponding concentrations).

Applications

This method is used in the determination of a multicomponent mixture consisting of Chloramphenicol, Desamethasone sodium phosphate and Tetryzoline HCl in eye drops in the presence of Benzalkonium chloride as a preservative. Ascorbic acid and Rutin in pure powder, laboratory prepared mixtures, and tablets were also determined conveniently using this method. The shift that occurs for the isoboretic point in derivative spectra may lead to correction of the interference that may originate from excipients.

Limitations

- Critical measurements of the amplitudes at the selected wavelength.
- Greatly affected by wavelength increment.
- The high noise which affects the signal to noise ratio.

Simultaneous derivative ratio spectrophotometry (SDD)

This method was modulated to be simultaneous by coupling with amplitude modulation theory. Before the derivatization step took place, the total concentration was firstly determined at the isosboretic point of the ratio spectrum using the normalized spectrum as a divisor. Then derivative of these ratio spectra was obtained to remove the constant generated in the division spectrum. Moreover, optimization of the proposed method was simpler than the traditional TD method, in which the influence of the divisor concentration was eliminated. Absorbance of this binary mixture (Aw) at a given wavelength (w) is represented by the following equation

\[ A_w = a_{x,y} C_x + a_{x,y} C_y \]

Where \( a_{x,y} \) and \( a_{x,y} \) are the absorbivities of Orphenadrine (ORP) and Paracetamol (PAR), respectively, while \( C_x \) and \( C_y \) are the concentrations of ORP and PAR respectively, in the mixture. As implied before, this work depends on the ratio spectra obtained using the normalized spectrum as a divisor, therefore, dividing Eq. (17) by the normalized spectra of PAR "a_{x,y}". Eq. (18) is obtained

\[ P_{TH} = \frac{(a_{x,y} C_x (a_{x,y}^w) + a_{x,y} C_y (a_{x,y}^w)}{a_{x,y}^w} \]

In Eq. (18), the used divisor "a_{x,y}" is the normalized spectrum of PAR and it is actually a spectrum of absorbivity "a" of PAR "component" at a specified wavelength "w", and \( P_w = A_{w/a_{x,y}} \). Eq. (18) can be written as follow

\[ P_{TH} = (a_{x,y}^w C_x + a_{x,y}^w C_y) \]

As "C_y" is a constant in Eq. (19), so by obtaining the first derivative of this ratio spectra, this constant will be cancelled as follow

\[ dP_{TH} = (a_{x,y}^w dC_x + a_{x,y}^w dC_y) \]

Fig. 5 shows the obtained derivative ratio spectra of different concentrations of ORP, where measurements take place at 224 nm. A correlation between the concentration and peak amplitude at 224 nm is plotted from which the concentration of ORP is determined [24].

Applications

The normalized spectrum of the divisor is used and hence no need for the tedious step of choosing the optimum concentration of divisor. This method is used in the determination of Orphenadrine and Paracetamol in tablets [24], Dimenhydrinate and Cinnarzine [25] in a combined dosage form.

Limitations

- Greatly affected by wavelength increment.
- The high noise which affects the signal to noise ratio [19].
**Fig. 5: First derivative of division spectra of ORP (5.0–30.0 μg/ml), using normalized PAR spectrum as a divisor [24]**

**Derivative compensation ratio via regression equation**

This is a new modification of derivative compensation ratio where the regression equation computed represents the graphical method and the concentration of (X) could be determined after substitution in it using the average of standard amplitude ratio. When the absorption curves of the two components (X) and (Y) overlap to a large extent or when analysis of a minor component in the presence of a major component represents a problem, the balance point or the graphical method can be adopted. Under these conditions, the absorption spectrum of a mixture of two drugs (X) and (Y) assumed to possess gross curve which has no characteristics of either of the pure compounds. The graphical method enhances the drawback of balance points such as tedious procedure and several uses of a standard solution of the pure sample but still has an error in measuring the concentration of the drug of interest from the graph which was eliminated by this new modification via computation of a regression equation [26-28].

The method consists of plotting the above-mentioned D1 amplitude ratios of the mixture against the concentration of the drug (x) in the reference cell where a line with very slight curvature is obtained. The concentration of the drug (x) is calculated from the graph as it is the concentration corresponding to the amplitude ratio of the mixture which is equal to the standard amplitude ratio of the pure component (y) previously determined as the mean amplitude ratio (Da/Db) obtained from derivative spectra of pure (y) at different concentration.

**Applications**

Simpler than graphical method and lower risk of error. This method is used in determination of Sodium cromoglicate and Xylometazoline HCl [27].

**Limitations**

- Multiple steps and time-consuming.
- Requires the spectral extension of one component over the other one [19].

**Differential dual wavelength (D2DWL)**

This novel method was applied for the analysis of binary mixture Y and Z or ternary mixture X, Y and Z using their derivative spectra at zero contribution of X while the interference of the third one was eliminated by the difference between two points showing equal absorbance of the interfering substance and so it could be applied on the derivative spectrum with equal amplitudes of the interfering substance.

The advantage of this novel method over conventional dual-wavelength method is that it can be applied on derivative spectrum of the mixture and thus enhances resolution between peaks. The influence of one component in the mixtures either binary or ternary can be eliminated by applying derivative technique while the interference of the third component can be eliminated by the difference between two points showing equal amplitudes of the interfering substance on the mixture spectra.

**Applications**

Applied when the principle of the conventional dual-wavelength isn’t fulfilled on the zero-order absorption spectrum. This method is used in the determination of lidocaine HCl, fluocortolone pivalate and chlorquinaclidol in pharmaceutical formulations with no interference from excipients [33].

**Limitations**

- Critical measurements of the amplitudes at the selected wavelength

**Differential derivative ratio (D2DR)**

Novel successive resolution technique was applied using the derivative technique to resolve the severely overlapped spectra followed by differential derivative ratio method using derivative spectra instead of the zero order spectra in the conventional derivative ratio. This novel method was applied for the analysis of ternary mixtures X, Y and Z where the zero order absorption spectra of cited components were severely overlapped while the first derivative spectrum of Y and Z were overlapped at zero contribution of X. In the new approach, derivative
ratio was applied using the first derivative spectrums. For the determination of Y, the ratio spectrums of the derivative spectrums of the mixture is divided by the derivative spectrums of pure Z as a divisor.

\[
\frac{d[a_x]}{d[λ]} = \frac{d[a_x]}{d[λ]}_Z + \frac{d[a_y]}{d[λ]}_Z + \frac{d[a_z]}{d[λ]}_Z \quad \text{Eq. 25}
\]

Division using first derivative spectrums of pure Z as a divisor

\[
\frac{d[a_x]}{d[λ]}_Z = \frac{d[a_x]}{d[λ]}_Z - \frac{d[a_y]}{d[λ]}_Z - \frac{d[a_z]}{d[λ]}_Z \quad \text{Eq. 26}
\]

The obtained ratio spectrums thus obtained in Eq. (21) are differentiated with respect to wavelength

\[
\frac{d}{d[λ]} \left( \frac{d[a_x]}{d[λ]} \right) = \frac{d[a_x]}{d[λ]}_Z - \frac{d[a_y]}{d[λ]}_Z - \frac{d[a_z]}{d[λ]}_Z \quad \text{Eq. 27}
\]

The above equation could be simplified to:

\[
\frac{d}{d[λ]} \left( \frac{d[a_x]}{d[λ]} \right) = \frac{d[a_x]}{d[λ]}_Z - \frac{d[a_y]}{d[λ]}_Z - \frac{d[a_z]}{d[λ]}_Z \quad \text{Eq. 28}
\]

Eq. (24) indicated that the derivative ratio spectrums of the mixture was dependent only on the values of \( C_Z \) and is independent of the value of \( C_Z \) in the mixture thus the first derivative values at a given wavelength are plotted against \( C_Z \). The concentration of Y was determined using the regression equation for the amplitude of the ratio spectrums versus the corresponding concentration of Y. On the other side, Z could be analysed via the same procedures using Y as a divisor.

Differential derivative ratio method for the resolution of ternary mixtures had an advantage over derivative ratio method that it was more reliable with respect to utility and sensitivity without searching for the critical point either zero crossing point or coincident point for the separated peaks and the maximum amplitude of the separated peaks could be measured [33]. In addition, D^2DR overcame the main disadvantages of successive derivative ratio spectrophotometry for the analysis of ternary mixture that it required the use of multiple manipulating steps and multiple divisors [34].

**Applications**

Used for the analysis of the ternary mixture using single divisor without searching the critical point at the separated peaks. This method is used in the determination of lidocaine HCl, fluocortolone pivalate and chloroquinol in a pharmaceutical dosage form [34].

**Limitations**

- Affected by wavelength increment [19].

**Successive derivative subtraction method (SDS)**

In a ternary mixture of X, Y and Z, where the spectrum of Z was more extended than Y which was in turn more extended than X, elimination of one component after the other was possible using successive derivative subtraction at zero contribution of the interfering one. Then the less extended drug was determined in a mixture of three compounds X, Y and Z. If Beer’s law was obeyed in the whole wavelength range used and by considering the path length as 1 cm, the absorbance of the ternary mixture at each wavelength could be written as:

\[
[a_x] = [a_x]_Z + [a_y]_Z + [a_z]_Z \quad \text{Eq. 29}
\]

\( a_x, a_y, a_z \) were the absorptivity vectors of X, Y and Z and \( C_x, C_y, C_z \) were the concentrations of X, Y and Z, respectively.

If the first derivative of Eq. (29) was taken, Eq. (30) would be obtained

\[
\left( \frac{d[a_x]}{d[λ]} \right)_Z = \left( \frac{d[a_x]}{d[λ]} \right)_Z + \left( \frac{d[a_y]}{d[λ]} \right)_Z + \left( \frac{d[a_z]}{d[λ]} \right)_Z \quad \text{Eq. 30}
\]

Dividing Eq. (30) with the first derivative of spectrum Z as a divisor

\[
\left( \frac{d[a_x]}{d[λ]} \right)_Z = \left( \frac{d[a_x]}{d[λ]} \right)_Z \times \text{constant} \quad \text{Eq. 31}
\]

The constant value \( \left( \frac{d[a_x]}{d[λ]} \right)_Z \times \text{constant} \) could be determined directly from the ratio spectrum by the straight line that was parallel to the wavelength axis in the region where Z was extended. Constant multiplication method had been established as a new approach in which Z could be determined by multiplying \( \left( \frac{d[a_x]}{d[λ]} \right)_Z \) divisor by the previously obtained constant, therefore we could obtain the D^1 spectrum of Z. This could be summarized as follows:

\[
\left( \frac{d[a_x]}{d[λ]} \right)_Z = \left( \frac{d[a_x]}{d[λ]} \right)_Z \times \text{constant} \quad \text{Eq. 32}
\]

The concentration of Z was calculated by using the regression equation representing the linear relationship between the amplitude \( P_{\text{maxima}} \) of first derivative spectrums versus the corresponding concentrations of Z.

By subtracting the measured value of the constant from the ratio spectrum Eq. (31), then multiplying the new spectrum by \( \left( \frac{d[a_x]}{d[λ]} \right)_Z \) the first derivative spectrums of the binary mixture (X-Y) can be obtained. This could be summarized in the following equations:

\[
\left( \frac{d[a_x]}{d[λ]} \right)_Z + \text{constant} = \text{constant} \quad \text{Eq. 33}
\]

\[
\left( \frac{d[a_x]}{d[λ]} \right)_Z \quad \text{Eq. 34}
\]

\[
\left( \frac{d[a_x]}{d[λ]} \right)_Z \quad \text{Eq. 35}
\]

The concentration of X was calculated by using the regression equation representing the linear relationship between the amplitude \( P_{\text{maxima}} \) of first derivative spectrums versus the corresponding concentrations of X. Successive derivative subtraction had the advantage that it could be used when there was certain overlap of the interfering drug(s) in the mixture at the extended parts and this overlapping could be resolved by the derivative technique in contrary of successive ratio subtraction which was valid for analysis of drugs when the interfering drug(s) showed zero contribution at the extended region.

**Applications**

The D^1 spectrum of each component in the mixture was obtained as that of pure one without any interference from other components in the mixture. Higher amplitude values and subsequently larger slope and maximum sensitivity in contrary to those obtained by applying the derivative technique. This method was used in the determination of lidocaine HCl, calcium deosulates and dexamethasone acetate in eye drops [39], determination of Chloramphenicol, dexamethasone sodium phosphate and tetryzoline HCl in a pharmaceutical mixture [33] Chloramphenicol and dexamethasone sodium phosphate were
also quantified in the presence of non labelled interfering substances [40].

Limitations

• Limited for ternary mixtures of X, Y and Z, where the D spectrum of Z is more extended than Y which was in turn more extended than X.
• The need of a different divisor for each component and utilizing different ratio spectra [19].

Derivative transformation (DT)

This novel method is applied in order to transform the derivative spectrum to its original zero order absorption spectrum [38]. Dividing the obtained first derivative spectrum of X by the derivative of normalized spectrum of pure X and multiplying the obtained spectrum or its amplitude (which is a constant represents its concentration) by the normalized spectrum of pure X \( [a_{X}] \); the zero-order absorption spectrum of X \( [a_{X}] \) is obtained that could be used either for resolution or determination of X. This can be formulated in the following equations:

\[ \frac{[a_{X}]}{[a_{X}]} = \frac{[a_{X}]}{[a_{X}]} \]

These steps could be summarized by using a decoding spectrum \( Z_{\text{decoding}} \) which a new spectrum is obtained by dividing the normalized spectrum by its derivative. After multiplying the derivative spectrum of X by the decoding spectrum; the original zero order absorption spectrum of X is obtained.

This decoding spectrum is the same for all the concentrations of pure X.

Applications

It transforms first order spectrum into zero order absorption spectra by their corresponding decoding spectra. High accuracy, reproducibility, sensitivity and ensures the spectrum typical to that of a pure form in its spectral profile. This method is used in determination of Mebeverine hydrochloride and Chlordiazepoxide [38].

Limitations

This method is complementary to derivative spectrophotometric methods [19].

CONCLUSION

Derivative spectrophotometry was a commonly used method in UV spectroscopy and recently several advancements in the statistical soft wares led a way to the design of a variety of derivative spectrophotometric techniques. Incorporation of the mathematical equations leads to discovering new pathways for the application of Ultraviolet-visible spectrophotopy in the field of analysis. Compared to the conventional reported Ultraviolet-visible spectrophotometry and PAM-fluorescence in comparative biochemistry. 1st ed. Dordrecht (UK): Springer Nature; 2015.

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