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Anatomies, vascular architectures, and mechanics underlying the leaf size-stem size spectrum in 42 Neotropical tree species

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HIGHLIGHT

Water supply and mechanical stability remain proportional to shoot leaf area because of allometric scaling of vessel diameter and stem length with shoot size across 42 Neotropical tree species, deviating from theoretical isometry with shoot size.
ABSTRACT
The leaf size-stem size spectrum is one of the main dimensions of plant ecological strategies. Yet the anatomical, mechanical, and hydraulic implications of small vs. large shoots are still poorly understood. We investigated 42 tropical rainforest tree species in French Guiana, with a wide range of leaf areas at the shoot level. We quantified the scaling of hydraulic and mechanical constraints with shoot size estimated as the water potential difference $\Delta \Psi$ and the bending angle $\Delta \Phi$, respectively. We investigated how anatomical tissue area, flexural stiffness and xylem vascular architecture affect such scaling by deviating (or not) from theoretical isometry with shoot size variation. Vessel diameter and conductive path length were found to be allometrically related to shoot size, thereby explaining the independence between $\Delta \Psi$ and shoot size. Leaf mass per area, stem length, and the modulus of elasticity were allometrically related with shoot size, explaining the independence between $\Delta \Phi$ and shoot size. Our study also shows that the maintenance of both water supply and mechanical stability across the shoot size range are not in conflict.

Key words: allometry, anatomy, axial vessel widening, leaf size spectrum, mechanics, scaling, shoot, water supply.
INTRODUCTION

The leaf size-stem size (LS-SS) spectrum is considered as one of the main dimensions of plant ecological strategies (Westoby et al., 2002; Westoby and Wright, 2003; Lauri, 2019). Several similar concepts have been proposed to study the LS-SS spectrum: Corner’s rules (Corner, 1949; Hallé et al., 1978; White, 1983a,b; Brouat et al., 1998; Ackerly and Donoghue, 1998; Olson et al., 2018), leaf-stem allometry (Brouat and McKey, 2001; Normand et al., 2008; Fan et al., 2017), the leaf size-twig size spectrum (Westoby and Wright, 2003; Sun et al., 2006), and the leptocaulis-pachycaulis spectrum (Corner, 1949; Hallé et al., 1978). A central question underlying these concepts relates to the relationships among morphological traits, between isometry and allometry (Brouat et al., 1998). Isometry refers to a strict relationship of proportionality, whereas allometry refers to different rates of variation usually described by a power function between two traits, with two distinguishable forms of allometry. For $Y \propto X^b$, hyper-allometry refers to a disproportionate increase in $Y$ in comparison to $X$ ($b > 1$), while hypo-allometry refers to a disproportionate decrease in $Y$ in comparison to $X$ ($b < 1$; Shingleton, 2010). Identifying whether trait scaling is allometric or isometric is a priority, as this may reflect diverging sizing of constraints (e.g. hydraulic tension, mechanical stress, carbon economy) with organ or organism size, and further sheds light on the selective value of large vs. small organs or organisms in a given environment. Regarding the LS-SS spectrum, beyond testing isometry vs. allometry, such constraints are rarely quantified or modelled, which further hampers the understanding of the selective value of large vs. small leaves, and the determination of what drives the wide range of leaf sizes across the world (Westoby et al., 2002; Wright et al., 2017).

The ‘leaf area $\propto$ stem cross-sectional area’ scaling (hereafter abbreviated respectively, $A_{\text{leaf}}$ and $A_{\text{stem}}$) is the relationship most frequently investigated in the LS-SS framework. Most studies support hyper-allometric scaling of $A_{\text{leaf}} \propto A_{\text{stem}}$ at the interspecific level (Brouat and McKey, 2001; Westoby and Wright, 2003; Preston and Ackerly, 2003; Sun et al., 2006; Normand et al., 2008; Xiang et al., 2009; Yang et al., 2009; Liu et al., 2010; Yan et al., 2013; Osada et al., 2015), but two studies support isometry (Brouat et al., 1998; Fan et al., 2017). If hyper-allometry is the rule for the $A_{\text{leaf}} \propto A_{\text{stem}}$ scaling, this suggests large shoots would have a higher leaf area per stem cross-sectional area than small shoots. In this case, the shoot is not homothetic, i.e. leaf geometry depends on leaf size. This allometric scaling may reflect diverging constraints in large vs. small leaves, which may be buffered by different geometries, or which may be reflected in lower and higher performance, and further affect the
selective value of large- vs. small-leaves. However, to our knowledge, such constraints have never been formalised along the LS-SS spectrum. Here, we propose such a formalism, for both a hydraulic (water transport) and a mechanical function (flexural support). This formalism may help understand if variation in geometry, i.e. allometric scaling between traits, is a response to hydraulic or mechanical constraints across a broad range of leaf sizes.

Regarding water supply, it can be assumed that a major constraint when increasing organ size is the difference in water potential, as a too large difference could lead to xylem embolism and plant dehydration (Tyree and Sperry, 1989; Tyree and Zimmermann, 2002; Cruiziat et al., 2002), but a too small difference could strongly reduce water flow. Differences in plant water potential have already been successfully modelled following Darcy’s law (Whitehead et al., 1984; Sperry et al., 1998; Martin-StPaul et al., 2017). The model we present is directly derived from this framework. We can therefore write:

\[
(1) \ \Delta \Psi = \Psi_{\text{stem}} - \Psi_{\text{leaf}} \sim \frac{A_{\text{leaf}} \times L_{\text{path}}}{K_s \times A_{\text{xylem}}} \sim \frac{A_{\text{leaf}} \times L_{\text{path}}}{V_D \times D_h^4 \times A_{\text{xylem}}}
\]

where \( \Psi_{\text{stem}} \) and \( \Psi_{\text{leaf}} \) are the water potentials (MPa) in stems and leaves, respectively (or at the base and the tip of the conductive path, respectively), \( A_{\text{leaf}} \) is the total shoot leaf area supplied with water (m²), \( L_{\text{path}} \) is the length of the conductive path (cm), \( K_s \) is xylem-specific conductivity (kg m⁻¹ MPa⁻¹ s⁻¹), \( A_{\text{xylem}} \) is the xylem surface area (mm²), \( V_D \) is the xylem vessel density (mm⁻²), and \( D_h \) is the vessel mean hydraulic diameter (µm). Note that we assume proportionality, and not equality, so that factors such as water viscosity, vapour pressure deficit or leaf conductance are neglected in this formulation.

We can analyse the dependence of all these factors on the stem diameter at the base of the shoot \( D_{\text{stem}} \) (mm), after log transformation. The equation (1) can then be decomposed as:

\[
(2) \ P(\Delta \Psi) = P(A_{\text{leaf}}) + P(L_{\text{path}}) - P(V_D) - 4 \times P(D_h) - P(A_{\text{xylem}})
\]

where \( P(X) \) is the slope of the log\( (X) \propto \log(D_{\text{stem}}) \) relationship. If we assume isometric scaling of all morphological factors \( (A_{\text{leaf}}, L_p, A_{\text{xylem}}) \) with \( D_{\text{stem}} \), but no vascular change \( (V_D, D_h) \), then \( P(A_{\text{leaf}}) = 2, P(L_{\text{path}}) = 1, P(V_D) = 0, P(D_h) = 0, \) and \( P(A_{\text{xylem}}) = 2 \). To sum up, \( P(\Delta \Psi) = 1 \), indicates that \( \Delta \Psi \) increases with size under this scenario and suggests shoots with large leaves are disadvantaged with respect to water transport. Therefore, as \( A_{\text{leaf}} \propto A_{\text{stem}} \) scaling has been shown to be isometric, and even hyper-allometric (see references above), compensation must be achieved through these factors to allow proportionate water supply across species with large vs. small leaves. For instance, \( P(D_h) = 0.25 \), leading to widening of axial vessels, would compensate for the increase in hydraulic resistance (i.e. increasing \( \Delta \Psi \)), in agreement with already proposed hydraulic optimality models (West et al., 1999;
Indeed, axial vessel widening is a well-known phenomenon at the stem (Anfodillo et al., 2006; Olson et al., 2014) and leaf level (Lechthaler et al., 2019; Levionnois et al., 2020), but has been poorly investigated at the shoot level or in tropical rainforest trees.

Regarding mechanical support, it can be assumed that a major constraint with increasing organ size is minimising the bending angle which causes stem deflection and reduces light interception, or may even cause the stem to rupture. Based on simple theory, we can model the stem bending angle as:

\[
\Delta \Phi \sim \frac{LMA \times A_{\text{leaf}} \times L_{\text{stem}}^2}{MOE \times I}
\]

where \(\Delta \Phi\) is the difference in bending angle between the tip and the base of the shoot stem (hereafter simplified to ‘bending angle’), LMA is the leaf mass per leaf area (g m\(^{-2}\)), \(A_{\text{leaf}}\) is the shoot leaf area (cm\(^2\)), \(L_{\text{stem}}\) is the stem length (cm), MOE is the modulus of elasticity (kN mm\(^{-2}\)), and \(I\) the second moment of area (mm\(^4\)). Note also that \(L_{\text{stem}}\) differs from \(L_p\) in the above hydraulic model (see material and methods).

We can analyse the dependence of all these factors on the stem diameter at the base of the shoot \(D_{\text{stem}}\) (mm), after log transformation. Equation (3) can then be decomposed as:

\[
P(\Delta \Phi) = P(LMA) + P(A_{\text{leaf}}) + 2 \times P(L_{\text{stem}}) - P(MOE) - P(I)
\]

where \(P(X)\) is the slope of the \(\log(X) \propto \log(D_{\text{stem}})\) relationship. If we assume isometric scaling of all factors with \(D_{\text{stem}}\), then \(P(LMA) = 1\) (assuming a proportional increase in leaf thickness), \(P(A_{\text{leaf}}) = 2\), \(P(L_{\text{stem}}) = 1\), \(P(MOE) = 0\), and \(P(I) = 4\). To sum up, \(P(\Delta \Phi) = 1\), indicates that \(\Delta \Phi\) increases with size under this scenario thereby suggesting that shoots with larger leaves are disadvantaged regarding stem flexural stiffness. Therefore, as \(A_{\text{leaf}} \propto A_{\text{stem}}\) scaling has been shown to be isometric, and even hyper-allometric (see references above), mechanical compensation must be achieved through these factors to allow proportionate stem flexural stiffness across species with large vs. small leaves. For instance, this could be achieved through by reducing \(L_{\text{stem}}\), or by increasing MOE. However, Olson et al. (2018a) demonstrated that species with large leaves and stems require low stem density, and therefore exhibit low MOE. However, to our knowledge, no study has jointly analysed LS-SS scaling and its main mechanical parameters (MOE, \(I\)) in the light of the mechanical constraint determined by \(\Delta \Phi\).

As xylem fulfils different functions including mechanical support, water conduction, and water and photosynthetic storage, a hydraulic-mechanic trade-off emerges at the level of the xylem (Baas et al., 2004; Chave et al., 2009; Lachenbruch and McCulloh, 2014;
Bittencourt et al., 2016). Indeed, the storage and transport of large volumes of water requires large vessels and a large parenchyma lumen fractions, while mechanical strength requires large fibre and large fibre wall fractions, leading to a conflict for space. It is not known if this trade-off holds true at the stem or shoot level. A recent study suggested this is the case (Fan et al., 2017), but only based on measurements of material properties (MOE and $K_s$), and not taking the effect of the overall structure ($I$ and xylem area) into account. What is more, all the parameters that determine overall flexural performance (MOE and $I$) and the overall water supply performance ($K_s$ and xylem area) have never been analysed together, to properly understand if mechanical support and water supply are in conflict at the shoot level.

We quantified the scaling of the LS-SS spectrum, based on the $A_{\text{leaf}} \propto A_{\text{stem}}$ scaling, in a wide range of shoot leaf areas. We took advantage of the high morphological diversity in leaf area in Amazon rainforest trees in French Guiana to examine a wide range of leaf and stem sizes across 42 species. We incorporated vascular and theoretical hydraulic traits as well as mechanical traits, at the shoot level (i.e., on a single unbranched stem with its leaves), based on two sets of shoot samples, respectively. We specifically addressed the following questions:

- What are the adjustments ($A_{\text{leaf}}$, $L_p$, VD, $D_h$, $A_{\text{xylem}}$), i.e., deviation from expected isometry (Eq. 2 and 4) that mitigate the hydraulic constraint quantified as the difference in leaf-stem water potential $\Delta \Psi$ with increasing shoot size?
- What are the adjustments (LMA, $A_{\text{leaf}}$, $L_{\text{stem}}$, MOE, $I$) that mitigate the mechanical constraint quantified as the bending angle $\Delta \Phi$ that occurs with increasing shoot size?
- Are mechanical support and water supply in conflict along the LS-SS spectrum at the shoot level?

**MATERIALS AND METHODS**

*Study site, species, and plant material*

The experiment was conducted at the Paracou experimental station (https://paracou.cirad.fr/website; 5°16′26″N, 52°55′26″W), French Guiana, located in a lowland tropical rainforest (Gourlet-Fleury et al., 2004). The tropical climate of French Guiana is highly seasonal due to the north-south movement of the Inter-Tropical Convergence Zone. The mean ($\pm$ SE) annual air temperature is 25.7 °C $\pm$ 0.1°C and the mean precipitation (from 2004 to 2014) was 3,102 mm $\pm$ 70 mm (Aguilos et al., 2019). The dry season lasts from mid-August to mid-November, during which rainfall is $< 100$ mm month$^{-1}$. 
Adult trees of 42 species representing marked phylogenetic diversity (Magnolid, Rosid, and Asterid clades) were sampled to account for morphological and anatomical diversity (Table S1). Mainly canopy dominant or co-dominant, adult trees exposed to the sun were sampled. However, three shade tolerant species were part of the mid storey. One shoot per tree was sampled. In the context of our study, a shoot is defined as the single unbranched stem supporting the most leaves, with no missing or damaged leaves between the youngest leaf and the oldest leaf (Fig. 1). Shoots were cut at the base of the internode supporting the last, oldest leaf. In this way, the quantity of wood and vessels at the base of the shoot can be associated with a precise quantity of downstream leaves. Shoots were sampled in the tree canopy by professional climbers. Shoots were treated in the laboratory on the day they were sampled. For logistic reasons, two field sampling sessions were needed. The first one was dedicated to anatomical and vascular sampling, the second to mechanical sampling.

Anatomical traits
The first sampling session (January-July 2017) was dedicated to anatomical sampling. A total of 94 trees belonging to 42 species were sampled. Three trees per species were sampled in 20 species, two trees per species in 12 species, and one tree per species in the remaining 10 species (Table S1). In the laboratory, the leaves were cut off the stem of each shoot. The lengths of the stem and of the median leaf on the shoot were measured with a ruler to obtain the maximum conductive path length ($L_{\text{path}}$; cm). For compound-leaf species, the length of the rachis of the median leaf and the length of the leaflet of the median leaflet was added to obtain $L_{\text{path}}$. Total shoot leaf area ($A_{\text{leaf}}$, cm²) was measured by scanning leaves and using ImageJ software (Table 1). We also measured the individual leaf area (cm²) of the median leaf on each shoot to identify the range of leaf area across shoots and species (Table S1). The advantage of choosing the median leaf is that it is fully developed but not yet senescent.

A 1-cm-long stem section was sampled at the base of the shoot, from the internode supporting the last, oldest leaf. The sample was conserved in 50% ethanol. Anatomical cross-sections were made taking care to keep the section complete, and to avoid damaging any tissues. Anatomical sections were coloured with FASGA stain (safranin + Alcian blue). Images of each cross-section were digitised using an optical microscope (Olympus BX60; Olympus Corporation; Tokyo; Japan) at x50 magnification and a Canon EOS 500D (lens Olympus U-TV1-X; F 0.0; ISO 100; speed 1/25) camera. To obtain a complete picture of the cross-section, the images were assembled in a panorama using Kolor AutoPano Giga software (v.3.6). The digitised cross-sections were processed with CS5 Photoshop software.
In addition to the complete cross-section, we considered four types of tissue: pith, xylem (primary and secondary xylems pooled together; $A_{\text{xylem}}$), phloem, and cortex. We manually delineated the tissues on the photographs (Fig. 1) and created masks. The masks for each layer were used to calculate the cross-sectional area (mm²) and fraction of each tissue, as well as the whole stem area using ImageJ software (v.1.43u).

Xylem vessels were analysed with ImageJ software to calculate theoretical xylem hydraulic properties (Abramoff et al., 2003). For each vessel, we calculated the cross-sectional area ($\mu$m²) and elliptical diameters. To study variations in vessel dimensions, we used the mean hydraulic diameter ($D_h$, $\mu$m; see Table 1 for formula), i.e. the diameter that all vessels, considered as circles, would need to sustain the same tissue hydraulic conductivity (Tyree and Zimmermann, 2002). The total number of vessels was counted, enabling calculation of vessel density (VD; mm$^{-2}$). The cumulated vessel area (mm²) was considered as the sum of the cross-sectional area of all vessels (Table 1).

Following past studies (Anfodillo et al., 2006; Olson et al., 2014; Levionnois et al., 2020), we estimated an overall widening rate across shoots ($D_h$/conductive path length) based on a slope of the log-log relationship between $D_h$ at the base of the shoot, and the conductive path length, across all measured shoots.

**Mechanical traits**

The second field session (May-June 2018) was dedicated to quantifying mechanical traits on new shoots. A total of 50 trees belonging to 26 out of the 42 species sampled in the first field session were sampled again. Three trees per species were sampled in seven species, two trees per species in 11 species, and one tree per species in the remaining eight species. In the laboratory, the leaves were cut from the stem of each shoot. The modulus of elasticity was measured on the fresh stem on the day of sampling. The leaves were dried in an oven at 70 °C for 72 h. The leaf dry mass was measured with a precision scale and LMA (g m$^{-2}$) was quantified as the ratio of leaf dry mass to leaf area.

Before cutting the shoot at the internode supporting the last oldest leaf, but after removing all the leaves, the flexural stiffness ($EI$, kN mm²; Table 1) of the stem was measured based on a four-point bending method (Chapotin et al., 2006). We measured the EI that is representative of the part of the stem that supports the leaves. The four-point bending method yields a mean value of $EI$ along the axis. The stem was laid on two external supports, such that the length L between the external supports was 120 mm or 180 mm depending on the size of the shoot. The stem was laid such that the stem segment on the apex side was not
deformed. The force was applied with an internal support, such that two points were in contact with the stem, and such that the length \( L \) between the two internal points was \( L/3 \) and the distance between an external point and the closest internal point was also \( L/3 \). To apply the force on the internal support, a basket was attached to it, and 10 g weights were successively added to the basket. The cross section equidistant from the two external supporting points was measured to obtain two orthogonal diameters. Stem tapering was previously shown to be negligible to calculate the flexural stiffness, based on stems of Guianese tropical tree species (Alméras et al., 2009). A series of photos was taken successively with each additional 10 g load. The successive load was low to ensure small stem vertical deflection in comparison to the distance \( L \) between the two external supports, and such that it remained within the elastic behaviour domain. The successive vertical deflection length was measured for each additional 10-g load, relying on image analysis of each successive photo using ImageJ software. \( EI \) was calculated from the slope of this relationship (see Table 1 for the formula).

The second moment of area (\( I, \text{mm}^4 \)) was calculated from the mean diameter of the cross section of the stem sample in the middle of the stem section between the supporting points of the bending apparatus (see Table 1 for the formula). \( I \) quantifies the distribution of material in a cross section with respect to the centre of the mass of the cross-section and describes the mechanical effect of cross-section geometry. The modulus of elasticity (MOE, kN mm\(^{-2} \); Table 1) of the stem was calculated as \( EI \) divided by \( I \).

**Statistical analysis**

We chose to sample a diverse range of species to cover the widest range of leaf and shoot size possible. Based on the number of individuals, some species in our dataset are poorly replicated. However, we assume this is not an issue as our aim was to study general scaling patterns across species. Therefore, all analyses were individual-based, not species-based. We think this is more appropriate for an allometric approach, as we wanted to link a precise conductive path length with a precise \( D_h \), for instance, and as species-based means may affect precision. Likewise, the purpose of our study was to investigate the shoot level and to compare large and small leaves, not to compare “large-leaved” species with “small-leaved” species.

To model the scaling of the hydraulic constraint, i.e., the difference in water potential, we calculated the integrated trait \( \Delta \Psi \) as:
To model the sizing of the mechanical constraint, i.e., the bending angle, we calculated the integrated trait \( \Delta \Phi \) as:

\[
\Delta \Phi = \frac{LMA \times A_{\text{leaf}} \times L_{\text{stem}}^2}{MOE \times I}
\]

To model the sizing of the mechanical constraint, i.e., the bending angle, we calculated the integrated trait \( \Delta \Phi \) as:

\[
\Delta \Phi = \frac{LMA \times A_{\text{leaf}} \times L_{\text{stem}}^2}{MOE \times I}
\]

\[\Delta \Phi = \frac{A_{\text{leaf}} \times L_{\text{path}}}{VD \times D_{h}^{-4} \times A_{\text{xylem}}}\]

R software (http://CRAN-R-project.org) was used for all statistical analyses. After log transformation, relationships between each trait \( Y \) and the shoot stem diameter \( D_{\text{stem}} \) were described as: \( Y = a \times D_{\text{stem}}^b \), so that: \( \log(Y) = \log(a) + b \times \log(D_{\text{stem}}) \), where \( b \) is the slope (or scaling exponent) and \( a \) is the intercept (allometric coefficient). To model the scaling of the hydraulic constraint and the mechanical constraint with stem diameter, we used ordinary least squares regression (OLS) to conserve the additivity of all slopes. In other words, the slope of the integrated traits \( \Delta \Psi \) and \( \Delta \Phi \) is equal to the sum of the slope of each trait, weighted by their exponent. For additivity to be conserved, missing values had to be retrieved. The model was then applied to 77 trees for the hydraulic constraint, and to 38 trees for the mechanical constraint. For each trait, the slope is compared to the slope of the theoretical case of isometry based on the standard error.

Bivariate log-log relationships were also presented between morphological, anatomical, vascular, and mechanical traits in all the trees available. Here we used standardised major axis regression (SMA) (Warton et al., 2006), providing the error on both the \( x \)-axis and \( y \)-axis (Harvey and Pagel, 1991), in the SMATR package (Falster et al., 2006). However, we used OLS for the relationship between \( D_{h} \) and the conductive path length, and between \( D_{h} \) and stem diameter, as the explanatory variable is more explicit (Fajardo et al., 2020a; Olson et al., 2021). A 95\% confidence interval around the slope was used for SMA.

**RESULTS**

Shoot leaf area \( A_{\text{leaf}} \) ranged from 43 to 9,876 cm\(^2\), with two to 23 leaves per shoot (Table S1). Individual leaf area ranged from 10 to 2,145 cm\(^2\) (Table S1). The \( A_{\text{leaf}} \propto A_{\text{stem}} \) scaling was positively and hypo-allometric (Fig. 2; Table 3), with a slope of 0.84 (0.75 – 0.95).

Regarding the scaling of the hydraulic constraint (quantified as the difference in water potential \( \Delta \Psi \)) with stem diameter \( D_{\text{stem}} \) (\( \Delta \Psi \propto D_{\text{stem}} \)), the slope was zero, deviating from theoretical prediction under the assumption of isometry (Table 2), meaning that \( \Delta \Psi \) was decoupled from shoot size. The \( A_{\text{leaf}} \propto D_{\text{stem}} \) scaling did not significantly deviate from theoretical isometry. The \( L_{\text{path}} \propto D_{\text{stem}} \), the \( VD \propto D_{\text{stem}} \) and the \( A_{\text{xylem}} \propto D_{\text{stem}} \) scaling were...
hypo-allometric contrary to the predicted theoretical isometry, such that their large deviation determines the $\Delta \Psi \propto D_{\text{stem}}$ scaling. The $D_h \propto D_{\text{stem}}$ scaling was hyper-allometric contrary to the predicted theoretical isometry.

Regarding the scaling of the mechanical constraint (quantified as the bending angle $\Delta \Phi$) as a function of $D_{\text{stem}}$ ($\Delta \Phi \propto D_{\text{stem}}$), the slope was negative, and deviated strongly from theoretical prediction under the assumption of isometry (Table 2), meaning that the mechanical constraint is relatively lower for large shoots. The $I \propto D_{\text{stem}}$ scaling did not deviate from theoretical isometry. The $L_{\text{path}} \propto D_{\text{stem}}$ scaling, the $A_{\text{leaf}} \propto D_{\text{stem}}$ scaling, the $L_{\text{stem}} \propto D_{\text{stem}}$ scaling, and the $\text{MOE} \propto D_{\text{stem}}$ scaling, were all hypo-allometric contrary to the predicted theoretical isometry. The large deviation of the $L_{\text{stem}} \propto D_{\text{stem}}$ scaling determines the $\Delta \Phi \propto D_{\text{stem}}$ scaling.

The $D_h \propto L_{\text{path}}$ scaling was positive and hypo-allometric with a slope of 0.45 ± 0.06 (Fig. 3a; Table 3), as was $D_h \propto D_{\text{stem}}$ and $D_h \propto A_{\text{leaf}}$ scaling (Table 3). The ‘xylem area $\propto A_{\text{leaf}}$’ scaling was positive and hypo-allometric with a slope of 0.86 (0.78 – 0.96; Fig. 3b; Table 3). The ‘total number of vessels $\propto A_{\text{leaf}}$’ scaling was positive and hypo-allometric with a slope of 0.54 (0.46 – 0.64; Fig. 3c; Table 3). The ‘cumulated vessel area $\propto A_{\text{leaf}}$’ scaling was positive and hypo-allometric with a slope of 0.83 (0.73 – 0.93; Fig. 3d; Table 3). The $\text{MOE} \propto D_{\text{stem}}$ scaling was negative with a slope of -2.00 (-2.42 - -1.65; Fig. 4a), as was the $\text{MOE} \propto A_{\text{leaf}}$ scaling (Table 3). The $EI \propto A_{\text{stem}}$ scaling was positive with a slope of 2.73 (2.35 – 3.17; Fig. 4b), as was the $EI \propto A_{\text{leaf}}$ scaling (Table 3). In summary, large shoots displayed disproportionately less xylem area and vessels, while vessels were larger at shoot base. Also, large shoots displayed lower MOE, but were not less stiff due to increased $I$. The ‘pith area $\propto A_{\text{stem}}$’ scaling was positive and hyper-allometric with a slope of 1.25 (1.16 – 1.34; Fig. 5a; Table 3). Xylem, phloem, and cortex areas were positively and isometrically related to stem area (Fig. 5b, c, d; Table 3). Pith and cortex areas were positively and isometrically related to shoot leaf area (Table 3). The ‘phloem area $\propto A_{\text{leaf}}$’ scaling was positive and hypo-allometric with a slope of 0.85 (0.73 – 0.99; Table 3).

Based on species’ means, most of the relationships and slopes were conserved (Table S2; Fig. S1; Fig. S2; Fig. S3; Fig. S4). The slope was substantially different for two relationships. The ‘$A_{\text{leaf}} \propto A_{\text{stem}}$’ and the ‘xylem area $\propto A_{\text{leaf}}$’ scaling were positive but isometric, with a slope of 0.90 (0.79 – 1.03) and 0.91 (0.81 – 1.04), respectively (Fig. S1; Fig. S4).
DISCUSSION

We examined how the estimated water potential difference $\Delta \Psi$ and bending angle $\Delta \Phi$ scaled with shoot size, as they are potential limitations to the achievement of large leaves if isometric scaling is assumed between morphological and anatomical traits and shoot size (Eq. 2 and 4). We found no scaling of either hydraulic or mechanical constraints with increasing shoot size, as indicated by stem diameter ($D_{stem}$). The estimated $\Delta \Psi$ was independent of shoot size (Table 2), indicating that the risk of embolism spreading (i.e. too large $\Delta \Psi$), or that insufficient water supply (i.e. too low $\Delta \Psi$) because of the cumulated effects of large shoots and long path lengths are in fact limited. The estimated $\Delta \Phi$ was negatively linked to shoot size, which rather indicates that large shoots are overbuilt against the increased risk of bending with increasing loading weight. Taken together, these findings suggest that hydraulics and flexural mechanics are not limiting factors in driving leaf size variation and selection, at least not at the shoot level. We also show that hydraulic and mechanical functions are not in conflict at the shoot level, as they involve different trait adjustments that are independent of one another.

Hydraulics are not a limitation

The fact that hydraulics are not limiting factors in driving leaf size variation is explained by different traits deviating from the expected isometric scaling with $D_{stem}$ at the shoot level. We found adjustments to conductive path length ($L_{path}$), vessel density (VD), vessel hydraulic diameter ($D_h$) and xylem area ($A_{xylem}$), while shoot leaf area was the only trait that followed isometric scaling with $D_{stem}$, as theoretically predicted (Table 2). The hypo-allometric $A_{xylem} \propto D_{stem}$ scaling deviated only slightly from isometry, suggesting disproportionately less conductive area with increasing shoot size. This shows that the effective adjustments to minimise the water potential difference $\Delta \Psi$ arise with $L_{path}$ and $D_h$. The hypo-allometric $L_{path} \propto D_{stem}$ scaling suggests that the increase in hydraulic resistance (with increasing shoot size) is mitigated, as hydraulic resistance is proportional to the conductive path length, according to the Hagen-Poiseuille law (Tyree and Zimmermann, 2002). Finally, $D_h$ increased with $D_{stem}$, $L_{path}$ and shoot leaf area, which is certainly a crucial adjustment for the conservation of water supply across shoot size. The increase in $D_h$ explains why VD decreases with $D_{stem}$, as there is a trade-off between vessel size and vessel number, known as the packing rule (Sperry et al., 2006; Zanne et al., 2010).

The increase in $D_h$ with $L_{path}$, also termed tip-to-base axial vessel widening, is a well-known pattern usually described along the stem (Petit et al., 2008, 2010; Bettiati et al., 2012;
Anfodillo et al., 2013; Olson et al., 2014). To mitigate hydrodynamic resistance, hydraulic optimality models (West et al., 1999) predict a minimum widening rate of 0.2 (i.e. \( D_h \propto L_{\text{path}}^{0.2} \)). This widening rate is found across all plants and trees when considering the stem vascular architecture (Anfodillo et al., 2006, 2013; Petit et al., 2014; Olson et al., 2014, 2021). We estimated a widening rate of 0.45 ± 0.06 across shoots, which is higher than the predicted rate. Nevertheless, our findings are consistent with the results of several other studies showing that the vessel widening rate is not constant along the total path length and tends to be higher toward the apex of trees (Anfodillo et al., 2006; Petit et al., 2010; Bettiati et al., 2012). Moreover, the widening rate has been found to be two to three times higher in leaves (Coomes et al., 2008; Lechthaler et al., 2019; Levionnois et al., 2020). This increasing widening rate toward the apex or in leaves is probably linked to intense vessel furcation within the crown, within branches, and within leaves (Bettiati et al., 2012; Lechthaler et al., 2019). The increasing widening rate could also be linked to hydraulic segmentation within the crown or at stem-leaf and stem-petiole interfaces, since the hydraulic segmentation hypothesis assumes higher hydraulic resistance (or lower conductance) in leaf xylem than that in stem xylem (Tyree and Ewers, 1991; Tyree and Zimmermann, 2002; Pivovaroff et al., 2014), based on vessel constriction (Zimmermann, 1978; Salleo et al., 1984; André et al., 1999).

Mechanics are not a limitation

The fact that flexural mechanics are not limiting factors in driving leaf size variation is explained by different traits deviating from the expected isometric scaling with \( D_{\text{stem}} \) at the shoot level. We found adjustments to LMA, shoot leaf area (\( A_{\text{leaf}} \)), stem length (\( L_{\text{stem}} \)) and modulus of elasticity (MOE), while the second moment of area \( I \) was the only trait following isometric scaling with \( D_{\text{stem}} \), as theoretically predicted (Table 2). However, the hypo-allometric \( A_{\text{leaf}} \propto D_{\text{stem}} \) scaling is certainly idiosyncratic, due to the small sample size (\( n = 39 \)) and large standard error around the slope for these models describing the mechanical constraint and was contradicted by our result obtained with larger sample size (Fig. 2). Furthermore, even when we kept the scaling exponent of the \( A_{\text{leaf}} \propto D_{\text{stem}} \) scaling at 2, the scaling exponent of the \( \Delta \Phi \propto D_{\text{stem}} \) scaling remained clearly negative. The effective adjustments ensuring mechanical stability certainly arise from adjustments to LMA and \( L_{\text{stem}} \) with increasing shoot size. Constant LMA across the shoot size range buffers the increase in weight loading with increasing shoot size.
We found that $L_{\text{stem}}$ decreased with $D_{\text{stem}}$. Consequently, the shorter the stem, the lower the cantilevered-beam effect of the stem and the higher the rigidity of the whole stem. However, based on the large standard error around the slope, the negative $L_{\text{stem}} \propto D_{\text{stem}}$ scaling is suspicious. (1) It contradicts the well-documented leaf size-leaf number trade-off, since large leaves are predicted to be more widely spaced (Kleiman and Aarssen, 2007; Xiang et al., 2009; Dombroskie, 2012; Yan et al., 2013; Fan et al., 2017). (2) When we considered the shoot dataset for hydraulic traits ($n = 97$, result not shown), we found no relationship between $L_{\text{stem}}$ and $D_{\text{stem}}$. Moreover, data are scarce for the $L_{\text{stem}} \propto D_{\text{stem}}$ scaling at the twig level, supporting disproportionately less cantilevered loading for large twigs. As the flexural angle $\Delta \Phi$ is a two-powered function of $L_{\text{stem}}$, $L_{\text{stem}}$ is a strong determinant of $\Delta \Phi$, and the $L_{\text{stem}} \propto D_{\text{stem}}$ scaling is a central parameter of mechanical stability and deserves more investigation in the frame of the LS-SS spectrum.

The negative $\Delta \Phi \propto D_{\text{stem}}$ scaling suggests that large shoots are overbuilt against the risk of bending that arises with increasing loading weight. Here, we only focused on the static loading of leaves. However, depending on the species, shoots have to temporarily but frequently support inflorescence and fruits, and there is a positive relationship between shoot size on the one hand, and inflorescence and fruit size on the other (Corner, 1949; Midgley and Bond, 1989; Ackerly and Donoghue, 1998; Westoby et al., 2002; Westoby and Wright, 2003; Duivenvoorden and Cuello, 2012; Leslie et al., 2014). Leaves also have to support wind drag forces (Niklas, 1996, 1999), even though large leaves generally have diverse forms and shapes to reduce possible drag forces (Vogel, 2009; Nicotra et al., 2011). Finally, we measured the overall stem MOE, as both xylem and bark contribute to stem bending mechanics (Rosell and Olson, 2014; Clair et al., 2019; Lehnebach et al., 2020). This is particularly the case of the shoot level, since secondary growth has not, or just, begun. Therefore, to better identify the factors that shape the LS-SS spectrum, the relative contribution of the different mechanical constraints that apply to shoots (e.g., leaf and fruit loading, wind drag force), as the relative contribution of xylem vs. bark in shoot mechanical stability need to be better taken into account in future research.

**Is there a hydraulic-mechanic trade-off?**

Our results support the hypothesis that water supply and mechanical stability are not in strong conflict at the shoot level, contrary to the idea of a hydraulic-mechanical trade-off (Fan et al., 2017). Only one trait seems to be involved in the two functions: the length of the stem or the
whole conductive path. Indeed, minimising stem length makes it possible to minimise both hydraulic resistance and cantilevered loading. Minimising stem length also allows the minimising of carbon construction costs, but probably comes at the expense of light foraging (Olson et al., 2018). Our results also support the hypothesis that the water supply is mainly maintained by axial vessel widening (i.e., allometric scaling of $D_h$ with stem diameter and length), and that mechanical stability is rather determined by MOE and $I$. Our study also suggests that these traits ($D_h$, MOE, $I$) can vary relatively independently across the LS-SS spectrum while ensuring water supply and mechanical stability across the LS-SS spectrum.

We showed that xylem area was isometrically related to the section area, and allometrically related to shoot leaf area with disproportionately less xylem area for a larger shoot leaf area. Therefore, the increase in $D_h$ does not require disproportionately more xylem area to supply water to large shoots. According to the Hagen-Poiseuille law, vessel conductivity scales at the fourth-power function of vessel diameter. Consequently, the increase in $D_h$ increases xylem conductive efficiency, finally allowing for disproportionately fewer vessels and less cumulated vessel area per shoot leaf area with increasing stem diameter (Table 3). The hypo-allometric ‘cumulated vessel area $\propto A_{\text{leaf}}$’ scaling contradicts a recent finding in the leaf xylem of an Acer species (Lechthaler et al., 2019), but may be explained by more intense vessel furcation across leaf veins. The increasing xylem conductive efficiency also allows for disproportionately less xylem area per shoot leaf area. The hyper-allometric $A_{\text{leaf}} \propto A_{\text{xylem}}$ scaling may be an anatomical explanation for the positive hyper-allometric scaling of $A_{\text{leaf}} \propto A_{\text{stem}}$ we found, and that is -to our knowledge- based on the widest range of individual leaf area sampled in a case study. However, when based on species’ mean’ (Table S2), $A_{\text{leaf}} \propto A_{\text{xylem}}$ and $A_{\text{leaf}} \propto A_{\text{stem}}$ scaling were isometric, despite trending towards allometry. Nevertheless, the conclusion remains the same as increasing xylem conductive efficiency allows to avoid disproportionately more xylem and stem cross-sectional areas –and subsequent construction costs- with increasing shoot size. The same explanation may apply to phloem, as we found positive hyper-allometric scaling for ‘$A_{\text{leaf}} \propto $ phloem area’. It has been shown that phloem sieve tubes also undergo tip-to-base axial widening, and to some extent obey the Hagen-Poiseuille law (Petit and Crivellaro, 2014).

The adjustment of shoot mechanical stability across the LS-SS spectrum does not imply adjustments to the xylem area. Rather, we observed hyper-allometric scaling of ‘pith area $\propto A_{\text{stem}}$’, leading to an increase in pith proportion with shoot size. As pith is mainly composed of large parenchyma cells with thin and poorly lignified cell walls (Evert, 2006), a higher pith fraction reduces the cost in biomass relative to stem volume in large stems. In
turn, the increase in the pith fraction determines the decrease in stem density and MOE, but maximises $I$ at low carbon cost. In a recent study (Olson et al., 2018), this phenomenon was explained by assuming similar amounts of carbon to allocate across the existing range of stem sizes. As large leaves require greater spacing and a larger stem, and larger petiole and/or rachis volumes to support them, tissue density is consequently lower, in agreement with a volume-density trade-off, potentially driving the trade-off between MOE and $EI$. However, despite increasing $EI$ with shoot size, our results indicate hypo-allometric $EI \propto D_{stem}$ scaling, and consequently a reduction in the efficiency of $EI$ with increasing shoot size. In this case, compensation may also arise with the minimisation of $L_{stem}$ and LMA, as discussed above. In conclusion, mechanical stability is not a limitation for large shoots, but comes at the cost of $L_{stem}$ if we assume it is linked to light foraging, as carbon limitation impedes the simultaneous maximisation of both mechanical stability and $L_{stem}$.

**Future outlook**

The fact that hydraulics and flexural mechanics are not limiting factors in driving leaf size variation at the shoot level is an important finding, as the evolutionary and ecological drivers of leaf size variation have not yet been fully disentangled (Westoby et al., 2002; Yang et al., 2010; Wright et al., 2017). This is also the case of the identification of the selective value of large vs. small leaves within or across environments. The hypotheses explaining the coexistence of species with very contrasting leaf sizes at a local scale in rainforests remain weak. In our opinion, the differential selective value of leaf size has been explained by three different mechanisms. First, large leaves could be disadvantaged because of their sensitivity to heat which may cause an impairment of the photosynthetic apparatus (Leigh et al., 2017). Larger leaves generally have thicker boundary layers, resulting in slower conductive heat loss. Second, leaf size has been hypothesised to play a role in the carbon cost-benefit balance of leaves and twigs. This has been investigated in particular in the frame of the ‘diminishing return’ hypothesis, and several studies support the hypothesis that larger leaves have a higher LMA, and that large leaves and twigs have disproportionately more dry mass than small ones (Niklas et al., 2007, 2009; Niinemets et al., 2007; Milla and Reich, 2007; Niklas and Cobb, 2008; Yang et al., 2010). Based on a model, Yang et al. (2010) showed that large leaves and twigs should have a longer lifespan and/or higher photosynthetic assimilation rates, thereby counterbalancing the diminishing return. However, constraints related to heat dissipation and the diminishing return hypothesis do not explain why having large leaves could be advantageous. Third, leaf size can affect light interception efficiency (e.g. total absorbed
photosynthetically active radiation per total leaf area) and self-shading, with large leaves maximising light interception efficiency and minimising self-shading (Duursma et al., 2012; Smith et al., 2014, 2017). Future investigations will require the quantification of carbon costs-benefits and light interception performances to better understand the selective pressure acting on large vs. small leaves and to better predict their ecological distribution.

The hyper-allometric $A_{\text{leaf}} \propto A_{\text{stem}}$ scaling in this study is in agreement with a majority of studies that investigated ‘leaf area $\propto$ stem area’ scaling, and supports hyper-allometry at the interspecific level (Brouat and McKey, 2001; Westoby and Wright, 2003; Preston and Ackerly, 2003; Sun et al., 2006; Normand et al., 2008; Xiang et al., 2009; Yang et al., 2009; Liu et al., 2010; Yan et al., 2013; Osada et al., 2015). Our study contradicts two studies that support isometry (Brouat et al., 1998; Fan et al., 2017). Nevertheless, across these studies, the slope of the ‘leaf area $\propto$ stem area’ scaling ranges from 1.0 to 1.8, suggesting it is context-dependant and sensitive to parameters such as the size of the sample, the range of leaf sizes, the largest leaf area in the sample, and the biome (e.g., temperate vs. tropical) concerned. Analysing data at the individual or species’ level can also affect statistical results, as our $A_{\text{leaf}} \propto A_{\text{stem}}$ and $A_{\text{leaf}} \propto A_{\text{stem}}$ scaling turned isometric based on species’ means (Table S2). However, this may be statistically induced by the de facto reduction in the sample size and the magnitude of trait variation. Moreover, when investigated at the intraspecific level, the slope of the ‘leaf area $\propto$ stem area’ scaling has been shown to be species dependant, with some species exhibiting isometric, hypo-allometric, and hyper-allometric scaling (Brouat et al., 1998; Brouat and McKey, 2001; Preston and Ackerly, 2003; Normand et al., 2008; Yan et al., 2013; Fajardo et al., 2020b). Therefore, further investigations are required to dedicatedly identify the trending slope of the ‘leaf area $\propto$ stem area’ scaling at global level, which would certainly benefit from a meta-analysis incorporating the widest range of leaf area across biomes. One way forward would also be to dedicatedly investigate the diversity of intraspecific scaling, as the scaling exponent can be considered as a trait in its own right, with its own adaptive value (Preston and Ackerly, 2003; Vasseur et al., 2012, 2018).
DATA AVAILABILITY STATEMENT
The data supporting the findings of this study are available from the corresponding authors, (S. Levionnois and P. Heuret), upon request.

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AUTHOR CONTRIBUTION
P.H. and S.L. conceived and designed the study; S.L, C.Z., S.C., Cl.S., P.H. and A.G.-M. collected field samples; S.L., Ca.S and C.H. performed anatomical sections; S.L., Ca.S and P.H. performed images analysis; S.L and A.G.-M. measured morphological traits; S.L. B.C. measured mechanical traits; S.L., Ca.S., P.H and T.A. performed data analysis; S.L., P.H., T.A. and B.C. wrote the manuscript; all the authors discussed the results and contributed valuable comments on the manuscript.
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### Tables

**Table 1.** List of measured traits, abbreviations, and formulae.

| Trait                                      | Unit   | Abbreviation | Formula |
|--------------------------------------------|--------|--------------|---------|
| Stem cross-sectional area                  | mm²    | A<sub>stem</sub> |         |
| Stem cross-sectional diameter              | mm     | D<sub>stem</sub> |         |
| Shoot leaf area                            | cm²    | A<sub>leaf</sub> |         |
| Leaf dry mass per leaf area                | g m⁻²  | LMA          | LMA = leaf dry mass/A<sub>leaf</sub> |
| Pith, xylem, phloem, cortex cross-sectional areas | mm²    | A<sub>xylem</sub>; xylem area |         |
| Stem length studied for stem bending       | cm     | L<sub>stem</sub> |         |
| Flexural stiffness                         | kN mm² | EI           | EI = b × \(\frac{l_1^3}{48} \times \left(3 \times \frac{l_2}{l_1} - 4 \times \left(\frac{l_2}{l_1}\right)^3\right)\) |
| Second moment of area                      | mm⁴    | I            | I = \(\pi D^4/64\) |
| Modulus of elasticity                      | kN mm⁻²| MOE          | MOE = EI/I |
| Conducive path length                     | cm     | L<sub>path</sub> |         |
| Mean hydraulic diameter                   | µm     | D<sub>h</sub> | D<sub>h</sub> = \((ΣD_v^4/N)^{1/4}\) |
| Vessel hydraulic diameter                 | µm     | D<sub>v</sub> | D<sub>v</sub> = \([32(ab)^3/(a^2+b^2)^{1/4}]\) |
| Number of vessels                          |        | N<sub>vessel</sub> |         |
| Cumulative vessel area                    | µm²    | N<sub>vessel</sub> * π(D<sub>v</sub>/2)² |         |
| Vessel density                            | mm⁻²   | VD           | VD = N<sub>vessel</sub>/A<sub>xylem</sub> |
### Table 2. Estimation of the hydraulic and mechanical constraints and scaling with shoot size $D_{stem}$.

| Water supply | Flexural support |
|--------------|------------------|
| **Trait**    | **OLS (slope ± SE)** | **Expected slope for isometry** | **R²** | **Trait**    | **OLS (slope ± SE)** | **Expected slope for isometry** | **R²** |
| $A_{leaf}$   | 1.982 ± 0.124***  | 2                                | 0.776  | LMA        | 0.055 ± 0.124NS    | 1                                | 0.005  |
| $L_{path}$   | 0.585 ± 0.087***  | 1                                | 0.378  | $A_{leaf}$ | 1.203 ± 0.323***  | 2                                | 0.278  |
| VD           | -0.980 ± 0.144*** | 0                                | 0.381  | $L_{stem}$ | -0.703 ± 0.302*   | 1                                | 0.131  |
| $D_h$        | 0.414 ± 0.061***  | 0                                | 0.381  | MOE        | -1.760 ± 0.176*** | 0                                | 0.736  |
| $A_{xylem}$  | 1.852 ± 0.101***  | 2                                | 0.819  | I          | 3.999 ± 0.023***  | 4                                | 0.999  |
| $\Delta\Psi$| 0.034 ± 0.199NS    | 1                                | 0.000  | $\Delta\Phi$| -2.388 ± 0.833** | 1                                | 0.186  |

All relationships were tested at a log-log scale. The significance of the relationship was tested: ***: $P < 0.001$; **: $P < 0.01$; *: $P < 0.05$; NS: $P > 0.05$. Standard errors are shown.
Table 3. Log-log bivariate relationships.

| Regression | Y               | X               | P        | \(R^2\)   | slope       | CI           |
|------------|-----------------|-----------------|----------|------------|-------------|--------------|
| SMA        | Stem area       | Shoot leaf area | < 0.001 | 0.702      | 0.834       | 0.742 – 0.937 |
| SMA        | Pith area       | Shoot leaf area | < 0.001 | 0.689      | 0.992       | 0.887 – 1.110 |
| SMA        | Xylem area      | Shoot leaf area | < 0.001 | 0.770      | 0.863       | 0.776 – 0.961 |
| SMA        | Phloem area     | Shoot leaf area | < 0.001 | 0.608      | 0.849       | 0.731 – 0.985 |
| SMA        | Cortex area     | Shoot leaf area | < 0.001 | 0.467      | 0.864       | 0.745 – 1.002 |
| SMA        | Pith area       | Stem area       | < 0.001 | 0.883      | 1.249       | 1.163 – 1.341 |
| SMA        | Xylem area      | Stem area       | < 0.001 | 0.805      | 1.003       | 0.915 – 1.100 |
| SMA        | Phloem area     | Stem area       | < 0.001 | 0.861      | 1.015       | 0.932 – 1.106 |
| SMA        | Cortex area     | Stem area       | < 0.001 | 0.899      | 1.034       | 0.968 – 1.105 |
| SMA        | MOE             | Stem diameter   | < 0.001 | 0.611      | -2.000      | -2.424 – 1.650 |
| SMA        | EI              | Stem diameter   | < 0.001 | 0.800      | 2.733       | 2.354 – 3.173 |
| SMA        | MOE             | Shoot leaf area | < 0.01   | 0.156      | -0.823      | -1.096 – 0.619 |
| SMA        | EI              | Shoot leaf area | < 0.001 | 0.248      | 0.947       | 0.684 – 1.311 |
| OLS        | \(D_h\)        | Hydraulic path length | < 0.001 | 0.407   | 0.447 ± 0.061 |
| SMA        | Number of vessels | Hydraulic path length | < 0.001 | 0.216 | 1.322       | 1.057 – 1.652 |
| SMA        | Cum. vessel area | Hydraulic path length | < 0.001 | 0.533 | 1.934       | 1.627 – 2.300 |
| OLS        | \(D_h\)        | Stem diameter   | < 0.001 | 0.308      | 0.364 ± 0.057 |
| SMA        | Number of vessels | Stem area       | < 0.001 | 0.508      | 0.709       | 0.606 – 0.829 |
| SMA        | Cum. vessel area | Stem area       | < 0.001 | 0.710      | 0.987       | 0.879 – 1.108 |
| SMA        | \(D_h\)        | Shoot leaf area | < 0.001 | 0.324      | 0.268       | 0.222 – 0.323 |
| SMA        | Number of vessels | Shoot leaf area | < 0.001 | 0.475 | 0.542       | 0.458 – 0.640 |
| SMA        | Cum. vessel area | Shoot leaf area | < 0.001 | 0.715      | 0.825       | 0.729 – 0.934 |

Bold values refer to significant correlations (\(P < 0.05\)). See Table 1 for a list of abbreviations. For OLS, the standard error is shown.
FIGURE LEGENDS

Fig. 1. Typical leafy shoots with simple leaves (left) and compound leaves (right). A complete compound leaf is shown. In the context of our study, a shoot is defined as a single unbranched stem supporting the most leaves, with no leaves missing between the youngest and the oldest leaf. Shoots were selected to avoid damaged leaves. Anatomical cross-sections were made at the base of each shoot to measure tissue cross-sectional area and fractions, vascular architecture, and theoretical hydraulic conductivity.

Fig. 2. Stem cross-sectional area according to shoot leaf area at a log-log scale. b: scaling exponent and its 95% CI in square brackets. * $P < 0.05$; ** $P < 0.01$; *** $P < 0.001$.

Fig. 3. Scaling of vascular traits with conductive path length and shoot leaf area, respectively. (A) Mean vessel hydraulic diameter according to conductive path length. (B) Xylem area according to shoot leaf area. (C) The number of vessels according to shoot leaf area. (D) Cumulated vessel area according to shoot leaf area. All results are at log-log scale. b: scaling exponent and its CI in square brackets based on SMA, except for (A) where the standard error is shown based on OLS. * $P < 0.05$; ** $P < 0.01$; *** $P < 0.001$.

Fig. 4. Scaling of mechanical traits with the stem cross-sectional area. (A) Stem modulus of elasticity (MOE) according to the stem cross-sectional diameter. (B) Flexural stiffness (EI) according to the stem cross-sectional area. All results are at log-log scale. b: scaling exponent and its CI in square brackets based on SMA. * $P < 0.05$; ** $P < 0.01$; *** $P < 0.001$.

Fig. 5. Scaling of stem tissue cross-sectional area with shoot leaf area. (A) Pith cross-sectional area according to shoot leaf area. (B) Xylem cross-sectional area according to shoot leaf area. (C) Phloem cross-sectional area according to shoot leaf area. (D) Cortex cross-sectional area according to shoot leaf area. All results are at log-log scale. b: scaling exponent and its CI in square brackets based on SMA. * $P < 0.05$; ** $P < 0.01$; *** $P < 0.001$. 
Figure 2

![Graph showing the relationship between stem area and shoot leaf area with the following details:

- \( R^2 = 0.702 \)
- \( b = 0.834 \)
- Confidence interval: [0.742 - 0.937]
Figure 4

(A) MOE (kN mm$^2$) vs. Stem diameter (mm)

$R^2 = 0.611^{***}$

$b = -2.000$

[-2.424 - -1.650]

(B) EI (kN mm$^2$) vs. Stem diameter (mm)

$R^2 = 0.800^{***}$

$b = 2.733$

[2.354 - 3.173]
