Variables Creation in Fraud Detection-Based on New York Property Data

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Abstract. With the rapid development of technology, fraud has become an extremely serious problem in the US society, therefore makes fraud detection an urgent need to improve the situation as much as possible. Fraud detection refers to the process of finding anomalies in a huge bunch of data by building fraud algorithms and models that could predict the possible behaviour of the real world situation. This paper will mainly focus on the ‘Variables Creation’ process in fraud detection with the New York property data and discuss how to analyze a fraud problem and build variables based on New York property data. The whole process of fraud detection will render practical help to solve the property fraud problem.

1. Introduction

In the US, people can easily commit fraud through various ways. Some steal others’ identities to open up multiple accounts, while others intentionally make up some numbers in property data to avoid high tax. In order to catch these frauds, two different kinds of model should be built: unsupervised model and supervised model[1]. These two types of models target two kinds of problem: forensic accounting and real time fraud algorithms. And this paper will only revolve around the Forensic accounting problem. In forensic accounting, the algorithm and variables can be created from all the data, regardless of time flow. The purpose in this case is to find the unusual records in the fixed data in order to catch possible frauds and leave them to the investigator to be checked later[4]. Since the standard to evaluate the goodness of a model is through a combined equation of error and complexity of the model (the lower the equation result is, the better the model creates), in the case, it refers to the fraud detection rate (FDR) which equals the number of actual frauds over the numbers of examined records. To solve this problem, unsupervised modeling is often chosen as the best method due to the absence of labels. Without the previous example of fraud, creating new standards in order to determine which types of records should be regarded as anomalies is of great necessity. Therefore, this paper will cover the whole process of building unsupervised model of ‘New York property data’, with more detailed analysis to the variable creation part. The conclusion will lead to certain range of data with high fraud scores, which are regarded as our best guess for fraud.

2. Analysis

2.1 Data processing

2.1.1 Data description
The data used in this case is a whole collection of New York property provided by an unknown government organization in 2010. The raw data contains 1,070,994 records and 32 fields, which can be classified into numerical field and categorical field.

Here are some of explanation of the main field names:
LTFRONT: lot front
LTDEPTH: lot depth
FULLVAL: full value of the building
AVLAND: average value of the land
AVTOT: average value of the total area
BLDFRONT: building front
BLDDEPTH: building depth

Table 1. Numerical field

| FIELD NAME | #RECORDS | VAULE | %POPULATED | #Unique Values | #Value with zero | MEAN | Standard Deviation | Min | Max |
|------------|----------|-------|------------|----------------|------------------|------|--------------------|-----|-----|
| LITFRONT  | 1,070,994| 100   | 1,297      | 169,108        | 36.64            | 74.03| 0                  | 9999|     |
| LITDEPTH  | 1,070,994| 100   | 1,370      | 170,128        | 88.86            | 76.40| 0                  | 9999|     |
| STORES    | 1,014,730| 94.75 | 112        | NA             | 5.01             | 8.37 | 1                  | 119 |     |
| FULLVAL   | 1,070,994| 100   | 109,324    | 13,007         | 874.2645         | 11,582,431 | 0    | 6,150,000,000 |     |
| AVLAND    | 1,070,994| 100   | 70,921     | 13,009         | 85,067.92        | 4,057,260 | 0   | 2,668,500,000 |     |
| AVTOT     | 1,070,994| 100   | 112,914    | 13,007         | 227,238.17       | 6,877,529 | 0  | 4,668,000,000 |     |
| EXLAND    | 1,070,994| 100   | 33,419     | 491,699        | 36,423.89        | 3,981,576 | 0  | 2,668,500,000 |     |
| EXTOT     | 1,070,994| 100   | 64,255     | 432,572        | 91,186.98        | 6,508,403 | 0  | 4,668,300,000 |     |
| BLDFRONT  | 1,070,994| 100   | 612        | 228,815        | 23.64            | 35.60| 0                  | 5,75 |     |
| BLDDEPTH  | 1,070,994| 100   | 621        | 228,853        | 39.92            | 42.71| 0                  | 9,393|     |
| AVLAND2   | 282,726  | 26.4  | 58,592     | NA             | 246,235.72       | 6,178,963 | 3  | 2,371,000,000 |     |
| AVTOT2    | 282,732  | 27.33 | 111,361    | NA             | 713,911.44       | 11,700,000 | 3  | 4,500,000,000 |     |
| EXLAND2   | 87,449   | 8.17  | 22,196     | NA             | 351,235.68       | 10,800,000 | 1  | 1,237,000,000 |     |
| EXTOT2    | 130,828  | 12.22 | 48,349     | NA             | 656,768.28       | 16,100,000 | 7  | 4,500,000,000 |     |

Table 2. Categorical field

| Field Name | #Records with value | #populated | #Unique Value | Most common field value |
|------------|---------------------|------------|---------------|-------------------------|
| RECORD     | 1,070,994           | 100        | 1,070,994     | NA                      |
| BBLE       | 1,070,994           | 100        | 1,066,541     | NA                      |
| BLOCK      | 1,070,994           | 100        | 13,984        | NA                      |
| B          | 1,070,994           | 100        | 5             | 4                       |
| LOT        | 1,070,994           | 100        | 6,306         | 1                       |
| EASEMENT   | 4,626               | 0.43       | 13            | E                       |
| OWNER      | 1,039,249           | 97.04      | 863,348       | PARKCHESTER PRESERVAT   |
| BLDGCL     | 1,070,994           | 100        | 200           | 84                      |
| TAXCLASS   | 1,070,994           | 100        | 11            | 1                       |
| EXT        | 354,305             | 33.09      | 4             | G                       |
| EXCD1      | 638,468             | 59.61      | 120           | 1017                    |
| EXCD2      | 92,948              | 8.68       | 61            | 1017                    |
| STADDR     | 1,070,318           | 99.93      | 839,281       | 501 SURF AVENUE         |
| ZIP        | 1,041,104           | 97.21      | 197           | 10314                   |
| EXMPTCL    | 15,579              | 1.45       | 15            | X1                      |
| PERIOD     | 1,070,994           | 100        | 1             | FINAL                   |
| VALTYPE    | 1,070,994           | 100        | 1             | AC - TR                 |
| YEAR       | 1,070,994           | 100        | 1             | 40483                   |

Fig. 1. Distribution of full value
It is clear to see from these distributions that most of the data settles in the normal range and only a small part of it settles far from the highly distributed value, which are exactly the outliers that the algorithms need to recognize.

2.1.2 Data cleaning
Right now the data is the raw data collected directly from the official website. The next important process is to do the data cleaning to make the raw data into better form in order to prepare for creating variables from it.

Normally, data cleaning process is mainly used to fill the missing value, which can be achieved from two different ways:

① Use the average or most common value of that field over all records to fill the missing fields.
② Select one or more other fields that are important in deciding the missing field and group them into categories, and replace the missing field with the average or most common value for its appropriate group.

In this case, both methods are applied to minimize the possibility of measurement bias.

2.2 Variable creation

2.2.1 Variable chosen
Among all the processes of fraud detection, one of the most essential parts definitely is the variable creation part. This is because the final result, also called the fraud score, mostly depending on the goodness of the variables. If the variables are chosen well enough to let the model distinguish the normal data from the strange data, then the algorithms is very likely to be a great success. In contrast, if the variables are not well-chosen, then most likely, no matter how perfect the model is, the result cannot really satisfy the initial expectation.

Before variable chosen, what should first be considered is that the purpose of this algorithm, which is the final goal to be achieved. In this case, the goal is to find strange values, so we need to do comparison and sort the unusual ones. Since the data is about property, ‘unit value’ can be used to accomplish the comparison. According to the fields of the cleaned data, the following formula goes like this: **Unit value = Value/(Area or Volume)**

Here are the fields that involve in Value:
Here are the fields that involve in Area or Volume:

- \( V_1 = \text{FULLVAL} \)
- \( V_2 = \text{AVLAND} \)
- \( V_3 = \text{AVTOT} \)

- \( S_1 = \text{LTFRONT} \times \text{LTDEPTH} \)
- \( S_2 = \text{BLDFRONT} \times \text{BLDDEPTH} \)
- \( S_3 = S_2 \times \text{STORIES} \)

Then combine them and create unit values as variables:

\[
\begin{align*}
    r_1 &= \frac{V_1}{S_1} & r_4 &= \frac{V_2}{S_1} & r_7 &= \frac{V_3}{S_1} \\
    r_2 &= \frac{V_1}{S_2} & r_5 &= \frac{V_2}{S_2} & r_8 &= \frac{V_3}{S_2} \\
    r_3 &= \frac{V_1}{S_3} & r_6 &= \frac{V_2}{S_3} & r_9 &= \frac{V_3}{S_3}
\end{align*}
\]

For each record we create 9 ratios:

However, only nine ratios are not enough for variables. Variables should first be created as much as better in order to take all factors into consideration. There is no need to worry about the complexity of the input of the model because later many low-correlated dimensions will be reduced in the later steps. Therefore, here the influence of geographical and logical factors should be taken into consideration, which refers to zip code and tax class. For example, if a building settles in Manhattan, which has the most expensive land price in New York, then it will be very strange if this building has a low land value compared to the average land value of this area with the same zip code. In addition, the reason why to include tax class is that it is generally acknowledged that properties, which pay the same amount of tax should have about the same value. Thus, in this case, we will separately group records into 5 groups: zip5 (the first five numbers of zip codes), zip3 (the first three numbers of zip codes), TAXCLASS, borough, all.

With the 9 ratios and 5 groups, 45 variables can eventually be created through mathematical calculations:

\[
\frac{r_1}{g^{r_1}} < g^{r_2} < g^{r_3} < g^{r_4} < g^{r_5} < g^{r_6} < g^{r_7} < g^{r_8} < g^{r_9} < g^{r_9} \quad g = 1, \ldots, 5
\]

2.2.2 Z scale
According to Mahalanobis distance theory, right now the data shown as variables is like the figure 7, unevenly distributed[3]. However, data need to be transferred into the same scale because it is easier to see the distance of from the center to the point. The result expected is like in figure 8, in which all the data are distributed in a circle that has the same scale.
To achieve this goal, the most commonly used method is ‘z scale’, which refers to the following formula:

\[ z_i = \frac{x_i - \mu_i}{\sigma_i} \]  

(1)

After the transfer of all the records through this formula, it is automatically to find that the mean value of the data is 0, and the standard deviation becomes 1. This makes the data easier to look at and to do further analysis.

2.2.3 Principal component analysis (PCA)

Now that the data is perfectly placed in the same scale, but with too many fields, or dimensions, the model can not be perfectly trained. So now reducing dimensions is needed to be done, which often refers to PCA in unsupervised modeling. PCA, principal component analysis, is a kind of mathematical method mainly to reduce dimensions and remove linear correlations[6]. First, assume that every record represents a point in a high dimensional space, so the data will be distributed like this (three dimensions):

The data spreads differently in each direction, which means that it has different variance on each dimension. The larger the variance is, the more influential the dimension is to the model. The next step is to rank the data with its variance on each dimension, and the result would be like the following:
Fig. 10. Data variance in different dimensions

Afterwards, a decision should be made on how many dimensions to keep and how many to throw away. In this case, we choose to keep eight dimensions that have the high variance.

2.2.4 Z scale again
After some dimensions are thrown away, the data now is no longer in the same scale. To treat all remaining PCs the same, it is better to do the z scale again to benefit future steps. The method is just the same as the first. Finally, the data is fully prepared for training models.

2.3 Modeling

2.3.1 Algorithms building
With the prepared data, we can now start to build algorithms. To clarify before actual modeling, one thing should be sure is that the process to build a model is actually the process of finding the best surface in a high dimensional space to fit as much data as possible. When we operate the model with the given testing data, the anomalies can be easily distinguished from the normal ones. And later when the model is put into practical use, the same process would work again to find strange values which are predicted to be fraud scores.

Fig. 11. Modeling simulation

As for unsupervised model, there are mainly two methods to score the data, Heuristic Function of the z scores and autoencoder. Heuristic function of the z scores is a basic method that is using some fixed formula to calculate the distance from the center to each point (record), and employ this distance to the fraud score. The general formula is as follows:

$$\delta_i = \left( \sum_k |z_{ik}|^n \right)^{1/n}$$

When \(n=1\), it is the Manhattan distance: \(D = |z_1| + |z_2| + \ldots + |z_n|\)
When \(n=2\), it is the Euclidean distance: \(D = \sqrt{z_1^2 + z_2^2 + \ldots + z_n^2}\)

In this case, we choose to use the Manhattan distance and record it as score 1. But in most situations, this method cannot achieve good results, so we further employ a more advanced method, Autoencoder.

Autoencoder is a special type of Neural Net, one of the machine learning model. Autoencoder is meant for reproducing the data. When the data is normal, it can be reproduced well, but when it is
abnormal, the loss can be huge[2]. As a result, the error (distance) is interpreted as the fraud score.

![Autoencoder model](image)

**Fig. 12.** Autoencoder model

The autoencoder model contains many parameters that can be changed artificially, such as the number of layers, the number of nodes on each layer, and the loop. By adjusting these parameters, the model is trained to better fit our data[5].

| Epoch | Loss    |
|-------|---------|
| 1     | 0.7860  |
| 2     | 0.7684  |
| 3     | 0.7669  |
| 4     | 0.7667s |
| 5     | 0.7666  |

**Table 3. Training epoch**

![Score 2 distribution](image)

**Fig. 13.** Score 2 distribution

2.3.2 Score combination

Right now, the scores in hand are score1, which are acquired from linear model, and score 2, which is obtained from none linear model. To achieve a better model, the next step is to carefully consider the reliability of the two kinds of scores and attach different weight to them as different influence that one will have on the final score.

![Score 1 distribution](image)

**Fig. 14.** Score 1 distribution

![Score 2 distribution](image)

**Fig. 15.** Score 2 distribution

Lastly, the author combines the two scores using weighted average rank orders to get the final score, from which strange values can be clearly distinguished. And the final score distributed like this:
2.4 Result analysis

By doing the modeling step by step, the result leads to some statistically strange values which usually are interpreted as the best guess to fraud. However, these values still left to be well-defined as fraud by the investigators from companies or banks who expert in translating the data result into real life fraud detection in real world situation. They will use various methods to figure out why the data looks strange and if it is really fraud, and give data scientist feedback on the correctness of the fraud detection. According to their feedback, further adjustment to the fraud model will be made, and the process is just the same from the beginning.

3. Discussion

This paper discussed about the detailed process of building the unsupervised model for ‘NY property data’. However, due to the limitation of page and knowledge, more detailed background knowledge and practical Python codes can’t be shown in the paper. For future research, more in-depth analysis of variable creation and wider application of the unsupervised model can be focused on. It is greatly expected that more researches into fraud detection so that the credit system can be strongly improved.

4. Conclusion

This paper discusses the whole process of building unsupervised model for ‘New York property data’, and pays more attention to the variable creation part. Through this process, it is obvious that creating variables is really essential to the final goodness of the model. When doing this step, careful consideration about the involving factors is in real need, and creating as much variables as possible also exert significance on the accuracy of the further model training. As for choosing models, it is usually better to combine the linear and nonlinear models so that a better final score can be presented without bias.

With all the processes discussed above, the final model will work just fine for detecting the fraud in ‘NY property data’. However, more different kinds of data would certainly have different requirements for the result. Hence, more kinds of new models or combination method are fully expected to better solve real world problems.

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