The nature and even the existence of a putative planet-mass companion (“Fomalhaut b”) to Fomalhaut has been debated since 2008. In the present paper, we reanalyze the multi-epoch ACS/STIS/WFC3 Hubble Space Telescope (HST) optical/near-infrared images on which the discovery and some other claims were based. We confirm that the HST images do reveal an object in orbit around Fomalhaut, but the detailed results from our analysis differ in some ways from previous discussions. In particular, we do not confirm flux variability over a two-year interval at 0.6 μm wavelength and we detect Fomalhaut b for the first time at the short wavelength of 0.43 μm. We find that the HST image of Fomalhaut b at 0.8 μm may be extended beyond the point-spread function. We cannot determine from our astrometry if Fomalhaut b will cross or not the dust ring. The optical through mid-infrared spectral energy distribution (SED) of Fomalhaut b cannot be explained as due to direct or scattered radiation from a massive planet. We consider two models to explain the SED: (1) a large circumplanetary disk around an unseen planet and (2) the aftermath of a collision during the past 50–150 yr of two Kuiper-Belt-like objects of radii ~50 km.

Key words: methods: data analysis – methods: observational – planetary systems – techniques: high angular resolution – techniques: image processing

Online-only material: color figures

1. INTRODUCTION

Direct imaging is the appropriate technique for the study of exoplanets with semimajor axis larger than a few astronomical units (Marois et al. 2008, 2010b; Kalas et al. 2008; Lagrange et al. 2009). As the planetary atmospheric thermal emission or scattered light is detected, detailed multi-band photometry or spectrometry can be used to probe the atmospheric composition and physical properties. However, these studies are challenging given the high contrast and small angular separation between a star and planet. In some systems the presence of a planet before it is detected directly can be suggested by the geometry of a circumstellar debris disk. For example, Wyatt et al. (1999), Kalas et al. (2005), and Quillen et al. (2006) had predicted the likely existence of a planet around Fomalhaut and Mouillet et al. (1997) of a planet around β-Pictoris.

In the case of Fomalhaut (440 ± 40 Myr, 7.7 pc, Mamajek 2012; Van Leeuwen 2007), a candidate planet was announced by Kalas et al. (2008, hereafter K08). Surprisingly, the candidate was not detected in deep near-infrared images in H and Lp bands, but rather in Hubble Space Telescope (HST) images in the visible where planets are not expected to emit much thermal light. The K08 planet model that best fit the 2008 photometry is a <3 Mj Jovian planet surrounded by a large circumplanetary disk; the observed optical light is mostly scattered by the disk, not by the planet itself. In this model, Hα emission (dust accretion or hot planetary chromosphere) explains the unusual 50% variability of the reported flux at 0.6 μm over a two-year time interval. Based on their astrometric measurements, Kalas et al. (2010) also announced that Fomalhaut b is likely to cross the dust ring.

A few years later, as they did not detect the object at 4.5 μm with Spitzer, Janson et al. (2012) concluded that “there is almost certainly no direct flux from a planet contributing to the visible-light signature” and they proposed an optically thin dust cloud with or without a central object in the super-Earth regime to explain the K08 photometry. Kennedy & Wyatt (2011) also rejected direct detection of massive planets and explained the photometry at 0.6–0.8 μm to be a consequence of a swarm of satellites around a 2–100 Mj Earth planet.

Motivated by the controversial status of Fomalhaut b within the community, including even doubts of its actual existence, we decided to conduct an independent analysis of the HST public data that were recorded in 2004, 2006, 2009, and 2010. After describing the observational method in Section 2 and our data reduction in Section 3, we analyze the images to confirm that Fomalhaut b is a convincingly real detection and that it is gravitationally bound to the star. In Section 4, we study various possible orbits to determine if the current astrometry can confirm or reject a dust belt crossing trajectory (such as one announced by Kalas et al. 2010). In Section 4, we estimate the object’s photometry and possible origin as a circumplanetary disk around a planet or the aftermath of a collision of two Kuiper-Belt-like objects, while considering that Fomalhaut b is not (Section 4.3) or is (Section 4.4) spatially resolved in the HST images.

2. OBSERVATIONS

The data that we consider in this paper were obtained with HST with the Advanced Camera for Surveys (ACS) in 2004 and 2006 (programs 10390 and 10598), the Wide-Field Camera 3 (WFC3) in 2009 (program 11818), and the Space Telescope Imaging Spectrograph (STIS) instrument in 2010 (program 11818). The ACS data were acquired with the High Resolution Channel (HRC) in its coronagraphic mode with 1′′ and 3′′ focal plane occulting masks and the F435W (430 ± 50 nm), F606W (595 ± 115 nm), and F814W (825 ± 115 nm) filters. The F110W (1150 ± 250 nm) filter was used for the acquisition of the
WFC3 data. For the STIS data, the 50CORON configuration was used with its clear aperture (600 ± 220 nm). For all sequences, images at several roll angles were taken so that the stellar diffraction pattern can be subtracted while keeping the flux of any point sources. Table 1 gives the dates of the observations, the instrument configurations (filter and coronagraph), the number of useful images with the corresponding integration time, and the number of roll angles, as well as the total rotation of the field of view.

3. DATA REDUCTION

We present here the data reduction that produces the images given in Figures 1, 2, and 3.

3.1. ACS

We start from the drz drizzled images produced by the ACS pipeline (geometric distortion, photometry, and cosmic-ray calibrations). For each image, we create a map of pixels that deviate by more than 3.5σ in a 20 × 20 pixel box and we replace them with the median value in the box. We multiply each image by the PHOTFLAM of its header to convert the pixel counts to erg s⁻¹ cm⁻² Å⁻¹ arcsec⁻². For the Fomalhaut point-spread function (PSF) registration, we first start with the 2006 sequence image of the sequence (Table 1). The correlation is maximized with the first image of the sequence maximizing its correlation with the first image, and the number of roll angles, as well as the total rotation of the field of view.

We align every image maximizing its correlation with the first image, and the number of roll angles, as well as the total rotation of the field of view.

As the field of view rotates only by a few degrees, there is almost no difference between applying a locally optimized combination of images (LOCI) algorithm (Lafrenière et al. 2007; Marois et al. 2010a) or a basic angular differential imaging (ADI) data reduction as described in Marois et al. (2006) for all filters. We choose the second procedure, which is less time consuming. Considering one of the sequences, we subtract from each image a reference PSF that is the median of all images that were recorded at a different roll angle. We then rotate the images to put north up and median combine them. For the 2006 data, we work out the weighted mean of the reduced images taken with the 1.8 and 3.0” masks in the same filter. As the fields of view do not exactly overlap, the contrast is not the same in all parts of the images (Figures 1 and 2).

A point source (arrow) is detected in all images southwest from Fomalhaut A. An extended object (red arrow, southeast) is also detected in 2004 and in 2006 (F814W). The motions of these two sources are consistent with them being background objects. Fomalhaut b (inside the circles) is detected at F435W, F606W, and F814W with a signal-to-noise ratio (S/N) of ~3, 5–6, and 3, respectively, and it does not have the same motion as the background sources (Figure 4). To confirm that Fomalhaut b is bound and that we detect orbital motion, we have analyzed the astrometry of the southwest background source that is at ~14 arcsec from the star (located at a separation comparable to Fomalhaut b; see Figure 5). As it fits well the expected positions of a background source (proper motion and parallax), it means that misregistration or uncorrected distortions do not bias the astrometry in our images by more than the error bars that we derive. We thus confirm that Fomalhaut b is a real object orbiting Fomalhaut.

3.2. STIS

The ax2 images that are provided by the STIS pipeline (geometric distortions, photometry, and cosmic-ray calibrations) are used for our analysis. The flux density is converted to erg s⁻¹ cm⁻² Å⁻¹ arcsec⁻² by multiplying each image by the PHOTFLAM of its header and dividing it by the exposure time. The spider spikes are well detected in these images, and we register the first image of the sequence maximizing the cross-correlation of the spikes with themselves in a 180° rotation of the image about its center. The maximization was done around the spikes (±2 pixels) between 100 and 230 pixels from the star. We then register the other images maximizing the

| Date (UT)     | Instrument | Spot Diam. (arcsec) | Filter | Im. | Exp. (s) | Roll | FOV Rot. (deg) |
|---------------|------------|---------------------|--------|-----|--------|------|--------------|
| 2004 Oct 25–26| ACS/HRC    | 1.8                 | F606W  | 112 | 5615   | 3    | 8.0          |
| 2006 Jul 14   | ACS/HRC    | 1.8                 | F435W  | 9   | 6525   | 3    | 5.8          |
| 2006 Jul 15–16| ACS/HRC    | 3.0                 | F435W  | 9   | 6435   | 3    | 5.8          |
| 2006 Jul 19–20| ACS/HRC    | 3.0                 | F606W  | 28  | 7240   | 4    | 6.0          |
| 2006 Jul 18   | ACS/HRC    | 1.8                 | F814W  | 20  | 5280   | 3    | 6.0          |
| 2006 Jul 19   | ACS/HRC    | 3.0                 | F814W  | 27  | 4942   | 3    | 6.0          |
| 2009 Nov 16   | WFC3/IR    | ⋯                   | F110W  | 4   | 4772   | 4    | 15.0         |
| 2010 Jun 14   | STIS/50CORON| 2.5                | CLEAR  | 3   | 630    | 7    | 157.0        |
| 2010 Sep 13   | STIS/50CORON| 2.5                | CLEAR  | 16  | 3000   | 7    | 157.0        |

Notes. Column “Im.” gives the number of useful images. Column “Exp.” is the total integrated time of the useful images. “Roll” is the number of roll angles, as well as the total rotation of the field of view.

Better match of the diffraction spikes than for 435 nm.
cross-correlation with the first image in the 200 pixel radius disk where the 160 pixel central vertical band and the 30 pixel central horizontal band are masked. As the roll angles are well spread in the 0°–157° interval, we apply an LOCI algorithm (Lafrenière et al. 2007; Marois et al. 2010a) to suppress the stellar diffraction pattern. Using an LOCI algorithm, a PSF reference image is built for each image of the sequence and is subtracted. After subtraction, the images are rotated to put north up and they are median combined. The final image with the detection of Fomalhaut b is shown in Figure 3.

3.3. WFC3

The images that we use in our analysis are the multi-drizzle drz F110W images that are provided by the WFC3 pipeline. This pipeline applies geometric distortions, photometry, and cosmic-ray calibration on all images. Given that the images have been rotated to put north up, the images are first rotated to align the pupil. The first image is registered at the image center using a cross-correlation analysis with a 180° rotated image of itself. The other three images are then registered on the first image using again a correlation analysis. The LOCI algorithm (Lafrenière et al. 2007; Marois et al. 2010a) is then applied inside a 20 pixel thick annulus without any pixel masking. The subtracted images are then rotated to have north up and are median combined. Due to a bright diffraction artifact, Fomalhaut b is not detected at F110W (see Figure 3).

4. DATA ANALYSIS

4.1. Belt Geometry

The geometrical properties of the belt have been discussed previously (Kalas et al. 2005; Acke et al. 2012; Boley et al. 2012), and it is beyond the scope of the present paper to refine them. However, we find an eccentric belt that reproduces the images, with an eccentricity $e = 0.10–0.11$, a radius between 136 and 148 AU, a longitude of ascending node 156°–157°, an argument of periapsis 35°, and an inclination of 67°. All the parameters are in good agreement with the published values of K08 ($31° ± 6°$ for the argument of periapsis, unlike the $1° ± 6°$ found by Acke et al. 2012). We did not use a mathematical fit to optimize values of parameters, and our best visual fit is only used to estimate the belt geometry in our images.
We use the Tiny Tim (Krist et al. 2011) tool that generates HST template PSFs to build a model of a point source in our images at the position of Fomalhaut b to accurately estimate its astrometry and photometry. We consider that Fomalhaut b is seen in scattered light. Thus, in the Tiny Tim tool, we choose a source in which the spectrum is a blackbody with temperature 8751 K (Di Folco et al. 2004). We simulate the images prior to the speckle suppression registering them at the positions where they were recorded on the detector to account for the ADI/LOCI effects, the rotation we apply to put north up, and the weights of the weighted means for the 2006 data. We then adjust the position and flux of the template to subtract from the image to minimize the residual noise in a 0.25 radius aperture centered on Fomalhaut b for the ACS and STIS data. Although the template is close to the real image, the Tiny Tim tool cannot include all variations of the PSF over the detector. That is why we choose the 0.25 aperture (10 ACS pixels) as it is large enough to minimize the impact of these approximations; and it is small enough to minimize the impact of the surrounding noise. The positions we derive from the fit are given in Table 2. Note that the uncorrected geometrical distortions induce a 0.01 and 0.1 pixel error in ACS/HRC images (Section 10.3 in the handbook) and STIS images (Section 16.1 in the data handbook), respectively. The uncorrected distortions are thus negligible with respect to

| Date            | Filter | Offset from A to b | Separation | P.A. |
|-----------------|--------|--------------------|------------|------|
|                 |        | R.A. (″)           | Decl. (″)  |      |
| 2004 Oct 25–26  | F606W  | −8.59 ± 0.02       | 9.19 ± 0.02| 12.58 ± 0.03 |
| 2006 Jul 14–15–16 | F435W  | −8.61 ± 0.03       | 9.36 ± 0.03| 12.72 ± 0.04 |
| 2006 Jul 19–20  | F606W  | −8.64 ± 0.02       | 9.36 ± 0.02| 12.73 ± 0.03 |
| 2006 Jul 18–19  | F814W  | −8.64 ± 0.03       | 9.36 ± 0.03| 12.73 ± 0.04 |
| 2010 Jun 14-Sep 13 | CLEAR | −8.81 ± 0.07       | 9.79 ± 0.07| 13.17 ± 0.10 |

4.2. Astrometry
the fitting errors. K08 measured in their images that Fomalhaut b is at [R.A., decl.] = [−8′.62, 9′.20] and [−8′.60, 9′.38] from Fomalhaut A in 2004 and 2006, respectively. We estimate the difference δi between K08 positions and ours at epoch i as

\[ \delta_i = \sqrt{\delta_{\text{ra},i}^2 + \delta_{\text{dec},i}^2}, \]

where δ_{\text{ra}} and δ_{\text{dec}} are the difference between K08 measurements and ours of the offset along the west–east direction and the south–north direction, respectively. \( \sigma_{\text{ra},i} \) and \( \sigma_{\text{dec},i} \) are our error bars (K08 give no error bars). We find that our positions are within 1.5σ of K08 positions at the two epochs 2004 and 2006 (i.e., \( \delta_i \lesssim 1.5 \)). The difference with K08 could result from a different registering technique or from differences in the ACS pipeline that have been upgraded since 2008.

As we have three epochs close in time and large error bars for the 2010 data, we cannot strongly constrain the orbital parameters. We then consider only two Keplerian orbits—one that crosses the dust ring and a second that does not—and compare expected and measured positions.

The first orbit is a 0.19 eccentric orbit with a 118 AU semimajor axis, a 156° longitude of the ascending node, a 70° inclination, and a 2° argument of periapsis. The orbit does not cross the dust ring and is represented in dashed lines in Figure 6, where the dust belt is bound by dash-dotted lines. We use Equation (1) replacing K08 positions with the expected positions of Fomalhaut b on the Keplerian orbit to estimate the difference δi between the expected positions and our measurements at each epoch i (2004, 2006, and 2010). Then, we estimate the total difference as \( \delta = \sum_i \delta_i \). We find that the expected positions are 1.1σ from the measured positions (\( \delta = 1.1 \)). The second Keplerian orbit (full lines) we consider has an eccentricity 0.28, a semimajor axis 145 AU, a longitude of the ascending node 167°, an inclination 67°.5, and an argument of periapsis 8°. The difference between expected and measured positions is 1.5σ. If Fomalhaut b follows this orbit, it was inside the dust belt 140 yr ago at ∼1 AU from the center of the belt, for which the full vertical height is \( h_x \sim 3.5 \) AU (Kalas et al. 2005). Other trajectories at less than 2.4σ from the observations put Fomalhaut b inside the belt ∼50 yr ago. Some of these trajectories are highly eccentric and may be consistent with results proposed by Kalas et al. (2013) and Graham et al. (2013) although we were not able to find all the parameters of their best fit. Thus, new data are required to conclude whether Fomalhaut b trajectory does or does not cross the belt.

![Figure 3](https://example.com/figure3.png)

Figure 3. Same as Figure 1 for the LOCI-processed WFC3 F110W image taken in 2009 (top) and 2010 STIS CLEAR image (bottom).
4.3. Fomalhaut b as a Point Source

We consider Fomalhaut b as a point source in this section. We estimate its photometry and compare our results with K08 fluxes (Section 4.3.1). We then examine models discussed by K08 and J12 (Sections 4.3.2 and 4.3.3).

4.3.1. Photometry

For each filter and epoch, we derive the photometry by integrating the flux density of the PSF template that best fits the data (Section 4.2). As the PSF template is generated in a $2.5 \times 2.5$ arcsec$^2$ image, we use a 1" radius aperture for the ACS data and a 1$''$ radius for the STIS data. The fractions of the PSF-integrated energy inside these apertures are 0.960, 0.961, 0.918, and 0.996 for the F435W, F606W, F814W Sirianni et al. (2005), and CLEAR/STIS (STIS handbook, chap. 14/CCDClearImaging) filters, respectively. The F110W flux upper limit is derived by estimating the 5$\sigma$ noise in the area where Fomalhaut b is expected to be located, after convolving the image by a 0.4 arcsec diameter aperture (aperture matching the WFC3 photplam parameter). To convert the estimated flux densities $F_\lambda$ in erg s$^{-1}$ cm$^{-2}$ $\lambda^{-1}$ to flux densities $F_\nu$ in erg s$^{-1}$ cm$^{-2}$ Hz$^{-1}$ (i.e., 10$^{-18}$ Jy), we use the photplam keyword recorded by the ACS, WFC3, and STIS pipelines in the fits headers:

$$F_\nu = F_\lambda \text{photplam}^2 \times 10^{-18.4768}.$$  

The resulting flux densities ($\mu$Jy) are given in Table 3. The error bars $\sigma_\nu$ in percentage are the inverse of the $S/N$s. In these ratios, the signal is the integrated flux density inside a 0$''$.25 radius aperture centered on Fomalhaut b and the noise is the square root of the total variance of the residual noise after subtraction of the best PSF in the same area. K08 express their Fomalhaut b photometry and upper limits in Vega magnitudes. We convert their measurements to $\mu$Jy (last column in Table 3) using the ACS handbook (Section 5.1.1).

Most of the flux densities (Table 3) are consistent with K08 values except our F606W/2006 point, which is $\sim 2\sigma$ brighter ($\sigma$ is the quadratic sum of K08 error bars and ours). Moreover, our error bars are larger than K08’s. Thus, even if we still detect a variability in the F606W filter between 2004 and 2006, it is not as significant ($1.7\sigma_G$) as it is in K08 ($5\sigma_K$–$6\sigma_K$)—where $\sigma_G$ and $\sigma_K$ are our error bars and K08’s, respectively. We also find that the flux density measured in the CLEAR filter (its bandpass roughly corresponds to F435W+F606W+F814W) is consistent with the three ACS flux densities given the large error bar. Finally, we (marginally) detect Fomalhaut b at F435W, unlike K08, who have an upper limit.

We plot the photometry of our detections (crosses) in Figure 7 along with 5$\sigma$ upper limits from the literature (K08; Marengo et al. 2009; J12) at various wavelengths. J12 find that to comply with their 4.5$\mu$m upper limit, the planetary mass upper limit is 1$M_J$ at 400 Myr. Thus, we compare the measurements with a model of a cloud-free atmosphere for a 1$M_J$ planet at 400 Myr with the solar metallicity (Siegel & Burrows 2012) (full line in Figure 7). Our new F110W upper limit is consistent with the

![Figure 4. Fomalhaut b measured positions in 2004, 2006, and 2010 images (blue and red crosses) and expected positions for a background source (green crosses). (A color version of this figure is available in the online journal.)](image1)

![Figure 5. Measured positions of the southwest background source in 2004, 2006, and 2010 images (blue and red crosses) and expected positions for a background source (green crosses). Only epochs where Fomalhaut b is detected are shown. (A color version of this figure is available in the online journal.)](image2)

| Date | Filter | Flux Density ($\mu$Jy) | Kalas |
|------|--------|------------------------|-------|
| 2004 | F606W  | 0.63 $\pm$ 0.10        | 0.61 $\pm$ 0.05 |
| 2006 | F435W  | 0.36 $\pm$ 0.09        | $<0.87$ ($5\sigma$) |
| 2006 | F606W  | 0.43 $\pm$ 0.06        | 0.29 $\pm$ 0.03 |
| 2006 | F814W  | 0.36 $\pm$ 0.07        | 0.37 $\pm$ 0.04 |
| 2009 | F110W  | $<1.6$ ($5\sigma$)    | $\cdots$ |
| 2010 | CLEAR  | 0.61 $\pm$ 0.21        | $\cdots$ |

Table 3

Photometry If Fomalhaut b Is a Point Source
expected planet flux at that wavelength given the J12 Spitzer 4.5 μm upper limit. It is clear that a planet-only model for Fomalhaut b is not consistent with the visible observations. K08 proposed two other models: a cloud of dust (Section 4.3.2) or a disk of dust around a Jovian planet (Section 4.3.3). We revisit these two models in light of our updated photometry.

4.3.2. Cloud of Dust

We consider the model introduced in K08 with a 0.53 AU diameter cloud composed of dust grains with a differential size distribution \( dn/da \propto (a/a_0)^{-3.5} \) where the radius \( a \) goes from \( a_{\text{min}} \) to 1000 μm. Using Mie theory, K08 calculate the

\textbf{Figure 6.} Two trajectories with eccentricity 0.19 (dashed lines) or 0.28 (full line) that fit the Fomalhaut b positions within 1.5σ. (A color version of this figure is available in the online journal.)
Table 4

| Filter  | $m_{\text{ice}}^{0.01}$ | $m_{\text{LG}}^0$ | $m_{\text{ice}}^8$ | $m_{\text{LG}}^{1.7}$ |
|----------|-----------------|-----------------|-----------------|-----------------|
| F435W    | 0.71            | 0.58            | 0.63            | 0.46            |
| F606W    | 0.55            | 0.50            | 0.46            | 0.45            |
| F814W    | 0.37            | 0.37            | 0.37            | 0.37            |
| $\epsilon$ | 2.0             | 1.3             | 1.7             | 1.0             |

Notes. The last line gives the difference between $F_{\nu,v}$ and our measured photometry $F_{\nu}$. 

The expected flux densities in the Fomalhaut b region are given by the equation

$$\epsilon = \sqrt{\sum_v \left( \frac{F_{\nu,v} - F_{\nu,v}}{\sigma_v^2} \right)^2}. \quad (3)$$

K08 reject the possibility that Fomalhaut b can be explained by one of these cloud models because (1) they do not detect the object at F435W (they do not reject $m_{\text{LG}}^0$ for this reason), (2) the red color they observe does not match the model, and (3) they cannot explain the F606W variability. All these reasons do not apply to our new photometry because (1) we detect Fomalhaut b at F435W, (2) the expected flux densities match the observed flux densities within 1.7$\sigma$ for three of the four models ($\epsilon < 1.7$), and (3) the F606W variability is not significant in our images. K08 also explain that such a cloud could result from a collision of two planetesimals and that the probability of such an event is lower at the Fomalhaut b position than closer to the star or closer to the belt. However, as suggested by J12, the probability of a collision is not the probability of its detection because the speckle noise and the high brightness of the ring may prevent detections of such clouds close to the star and the belt, respectively. Moreover, the collision could have occurred inside the ring of dust and the resulting materials could have moved from the ring to the current position of Fomalhaut b. Finally, K08 argue that such dust clouds would be sheared due to differential gravitational forces and rapidly spatially resolved by HST. However, assuming a cloud with diameter 0.5 AU (maximum size for an unresolved source) only subject to gravitational forces from the star and no initial velocity, we find that its image would be larger than 2 pixels (~FWHM) and 4 pixels after ~100 yr and ~200 yr, respectively. It would take ~500 yr to shear the cloud of dust so that it could be spatially resolved in the HST images with no doubt. Thus, we find no strong arguments to reject K08 models of a dust cloud with radius ~0.5 AU, composed of water ice or refractory carbonaceous small grains, and with a spin of 200 yr. We overplot a line that gives the expected fluxes for the $m_{\text{LG}}^0$ model in Figure 7.

4.3.3. Material Surrounding a Jupiter-like Planet

A second scenario proposed by K08 is an unseen Jovian planet surrounded by a disk of dust with a radius of 16–35 planet radius. As the K08 photometry is close to ours and apparent magnitudes of such a cloud composed of water ice (density = 1, $m_{\text{ice}}$) or refractory carbonaceous material (density = 2.2, $m_{\text{LG}}$) with $m_{\text{min}} = 0.01$ $\mu$m (hereafter $m_{\text{ice}}^{0.01}$) or 8 $\mu$m (hereafter $m_{\text{ice}}^8$). The total mass in grains is adjusted such that the integrated light in F814W from the model matches K08’s observations (K08’s and our photometry in F814W are in agreement). We convert the Vega magnitudes provided in K08’s Table S3 to flux densities in $\mu$Jy (Table 4). The last line gives the error $\epsilon$ between the expected flux densities $F_{\nu,v}$ and the observed densities $F_{\nu}$.

K08 reject the possibility that Fomalhaut b can be explained by one of these cloud models because (1) they do not detect the object at F435W (they do not reject $m_{\text{LG}}^0$ for this reason), (2) the red color they observe does not match the model, and (3) they cannot explain the F606W variability. All these reasons do not apply to our new photometry because (1) we detect Fomalhaut b at F435W, (2) the expected flux densities match the observed flux densities within 1.7$\sigma$ for three of the four models ($\epsilon < 1.7$), and (3) the F606W variability is not significant in our images. K08 also explain that such a cloud could result from a collision of two planetesimals and that the probability of such an event is lower at the Fomalhaut b position than closer to the star or closer to the belt. However, as suggested by J12, the probability of a collision is not the probability of its detection because the speckle noise and the high brightness of the ring may prevent detections of such clouds close to the star and the belt, respectively. Moreover, the collision could have occurred inside the ring of dust and the resulting materials could have moved from the ring to the current position of Fomalhaut b. Finally, K08 argue that such dust clouds would be sheared due to differential gravitational forces and rapidly spatially resolved by HST. However, assuming a cloud with diameter 0.5 AU (maximum size for an unresolved source) only subject to gravitational forces from the star and no initial velocity, we find that its image would be larger than 2 pixels (~FWHM) and 4 pixels after ~100 yr and ~200 yr, respectively. It would take ~500 yr to shear the cloud of dust so that it could be spatially resolved in the HST images with no doubt. Thus, we find no strong arguments to reject K08 models of a dust cloud with radius ~0.5 AU, composed of water ice or refractory carbonaceous small grains, and with a spin of 200 yr. We overplot a line that gives the expected fluxes for the $m_{\text{LG}}^{1.7}$ model in Figure 7.

4.4. Is Fomalhaut b Resolved?

4.4.1. Extended Source versus PSF

Given that a possible model for Fomalhaut b involves a cloud of dust, it would be possible that the object has slowly expanded in time. We test here the possibility that the Fomalhaut b images are slightly spatially resolved.

First, we combine all the Fomalhaut b ACS images weighting the images by the S/Ns of the detections (linear and quadratic weighting give very similar results), and we fit a two-dimensional (2D) Gaussian function to the combined image. The best Gaussian function FWHM is 6 ± 1 pixels.
Then, we test how our processing can widen the image of a point-like source. For each filter/epoch of ACS observations, we extract a small sub-image close to Fomalhaut b (at 50 pixels maximum from Fomalhaut b). We add this noise to the PSF templates generated in Section 4.2 adjusting the noise level to reach the same S/Ns as we have for the Fomalhaut b detections. We combine the four epoch/filter images weighting by the S/Ns, and we fit a 2D Gaussian function to the combined image. Applying this analysis for noises picked at eight different locations in each filter/epoch image, we find that the PSF FWHM estimation is $2.8 \pm 0.5$ pixels. We repeat the same full analysis replacing the PSF templates by the detected southwest background source images, and we find that the background source image FWHM is $3.8 \pm 0.5$ pixels. Assuming that this source is not spatially resolved, we conclude that our data processing can widen the image of a point-like source by $\sim 1 \pm 0.7$ pixels.

We now model an extended object assuming a uniform intensity distribution over a disk with radius $R$. We convolve the object model by the PSF templates (Section 4.2) and obtain the object image templates for all epochs/filters. We adjust the S/Ns of the detections adding noise sub-images picked around the Fomalhaut b images. We combine the images accounting for the S/Ns and fit a 2D Gaussian function. FWHMs found for sources with $R$ between 0.39 and 0.78 AU are at less than 1σ (estimated from noises picked at eight different locations) from the 6 pixel FWHM measured for the Fomalhaut b image.

Finally, we find that the Fomalhaut b image FWHM is $\sim 2\sigma$ from the widening induced by our data processing, suggesting that Fomalhaut b could be resolved, but it is not yet conclusive. We also find that a basic model of an extended source could explain the measured Fomalhaut b extension. It is clear this low S/N analysis is not sufficient to fully conclude whether Fomalhaut b is or is not spatially extended; new observations are required. However, in the rest of Section 4.4, we consider an extended source for which the intensity distribution is a uniform disk with radius 0.58 AU (3 ACS pixels).

### 4.4.2. Unlikely an Instrumental Effect

Assuming the image is resolved, we investigate what instrumental effect or data processing could explain such an extended source.

The ACS/HRC PSF is contaminated by a halo for red sources, especially at F814W (Section 5.1.4 in the ACS handbook). The halo that adds to the “normal” PSF has a diameter (42–236 μm) pixels and contains a total fractional intensity $2(\lambda - 0.45)^3$ for the wavelength $\lambda$ in μm. A 10 pixel diameter halo requires a dominant flux at $\lambda \sim 11 \mu m$ from this expression, which does not make sense because it is well outside the sensitive bandpass of the detector. Moreover, even if the S/N is low, we do not observe in the F814W image a PSF plus a halo but only an extended image.

A second explanation for such an image could be a misregistering of the raw images. In that case, after the rotations that put north up in the ADI process, all the Fomalhaut b images would not fall at the exact same position, resulting in a blurred image. If this happens, any source in the field of view would be affected the same way. This effect is included in the estimated widening induced by our processing (Section 4.4.1).

The last instrumental effect that we foresee is a differential geometric distortion of $\gtrsim 1$ pixel at the Fomalhaut b position between the images of a same sequence. The ACS pipeline corrects for the distortions with an accuracy of 0.01 pixels (Section 10.3 in the ACS handbook). Thus, it would require differential distortions 100 times larger than the pipeline accuracy at the Fomalhaut b position but almost no distortions at the background source position, which is roughly at the same angular separation from the star. This scenario seems very unlikely.

Finally, we find no instrumental effects that could explain the possible spatial resolution of Fomalhaut b in our images. Since the current paper was submitted, Kalas et al. (2013) mentioned that Fomalhaut b appears slightly extended in the 2012 images, which is qualitatively consistent with our analysis of the three earlier epochs. However, we insist that more observations with higher S/N are needed to establish whether or not Fomalhaut b is extended in the HST images.

### 4.4.3. Photometry

For each filter/epoch, we consider the template $T_o$ for a 1.16 AU diameter object. We adjust its flux to minimize the residual noise in a 0′′25 radius aperture when we subtract it from the observations. We follow the steps described in Section 4.3.1 to convert the flux densities to Jy and estimate the error bars. The results are given in Table 5.

As expected, the fluxes are larger than in the case of a point source. Moreover, the flux variation at F606W is larger than in the point source case, but it is still less than 2.5σ$_G$, thus not yet significant. An unfortunately situated speckle at less than 3 pixels from Fomalhaut b could explain this variation. Finally, the flux density measured in the large band of STIS is consistent with the average flux density measured in the ACS filters within 1.8σ$_G$. In the case in which we resolve Fomalhaut b, we plot the photometry of our detections (crosses) in Figure 8.

In Figure 8, we add the fluxes derived from the $m_{LG}^k$ model of a cloud of refractory carbonaceous material (Section 4.3.2). We multiply the three fluxes by 0.47, i.e., we adjust the F814W flux and assume the ratios between filters are the same. The model seems to be in good agreement with the data.

In the case of a spatially resolved Fomalhaut b, we propose one basic model that assumes that Fomalhaut b is the result of the collision of two Kuiper Belt objects (KBOs; Section 4.4.4) and we adapt a model of a circumplanetary swarm of satellites (Section 4.4.5) proposed by Kennedy & Wyatt (2011).

### 4.4.4. Collision of Kuiper Belt Objects

In this section, we propose a basic model to roughly estimate the size and the amount of light that is scattered by a cloud of dust produced by the collision of two KBOs. The objective is not to derive the exact radius, mass, and velocity of the KBOs that could create Fomalhaut b but to show that the collision of two KBOs is not completely inconsistent with the observations. First, we estimate the total grain mass that can explain the fluxes

| Date       | Filter | Flux density (μJy) |
|------------|--------|--------------------|
| 2004       | F606W  | $0.91 \pm 0.10$    |
| 2006       | F435W  | $0.63 \pm 0.09$    |
| 2006       | F606W  | $0.60 \pm 0.08$    |
| 2006       | F814W  | $0.48 \pm 0.09$    |
| 2009       | F110W  | $<1.6 \ (5\sigma)$ |
| 2010       | CLEAR  | $1.04 \pm 0.20$    |

Table 5: Photometry If Fomalhaut b Is 1.16 AU Large
bandpass. Assuming a Planck law, the mass cross section of the particles equals their geometric albedo, the and F814W bandpasses.

\[
F \propto \frac{\rho}{L} \frac{v}{\Delta v} \frac{\lambda_{\text{bandpass}}}{\lambda_{\text{star}}} \]

received at the telescope. We estimate the luminosity of the star, respectively. Instead of estimating the ratio of the luminosities, we work with the fluxes \( F_{\text{sc}} \) and \( F_s \) at the telescope. We estimate \( F_{\text{sc}} \) from the measured fluxes \( (F_i) \) in the ACS filters \((i = F435W, F606W, \text{and } F814W; \text{Table } 5)\)

\[
F_{\text{sc}} = \sum_i F_i \Delta v_i \tag{5}
\]

with \( \Delta v_i \) the bandwidths of the filters. Our estimation of \( F_{\text{sc}} \) only includes the scattered energy in the F435W, F606W, and F814W bandpasses. \( F_s \) has to be calculated for the same bandpass. Assuming a Planck law, \( F_s \) in the bandpass \( [\lambda_{\text{min}} = 435-50 \text{ nm}, \lambda_{\text{max}} = 825 + 115 \text{ nm}] \) is

\[
F_s = F_s^{\text{tot}} \int_{u_{\text{min}}}^{u_{\text{max}}} \\ u^3/\left(\exp u - 1\right) du \int_0^\infty \frac{u^3}{\left(\exp u - 1\right) du}
\]

where \( u_{\text{min}}, u_{\text{max}} = h c / (k T \lambda_{\text{peak}}) \) with the Planck constant \( h \), the speed of light in vacuum \( c \), the Boltzmann constant \( k \), the stellar effective temperature \( T \) \((8751 \text{ K}; Di \text{ Folco et al. } 2004)\), and the stellar flux \( F_s^{\text{tot}} \) received at the telescope \((8.914 \times 6 \text{ erg}\)

\[
cm^{-2}; \text{Kalas et al. } 2008)\). For \( D \sim 120 \text{ AU} \) and dust grains with radius \( a = 10 \mu \text{m} \) and \( \rho = 2 \text{ g cm}^{-3} \), we find from Equations (4), (5), and (6) that the total grain mass needed to reproduce the photometry of Fomalhaut b is \( M_d \sim 4.10^{19} \text{ g} \).

Jewitt (2012) estimates the mass \( m_e \) of particles that are ejected after a collision of two KBOs with a mass \( M_{\text{kbo}} \), a radius \( r \), a density \( \rho \), and a relative velocity \( U \)

\[
m_e \frac{M_{\text{kbo}}}{M} = A \left( \frac{8 \pi G \rho}{3} \right)^{1.5} U^{1.5},
\]

where \( A = 0.01 \) and \( G = 6.67 \times 10^{-11} \text{ m}^3 \text{ kg}^{-1} \text{ s}^{-2} \) is the gravitational constant. Jewitt (2012) assumes the particles have radii in the range \( 0.1 \mu \text{m} \leq a \leq 0.1 \text{ m} \) with a power-law distribution in radii with index \( \sim 3.5 \) (see also Kadono et al. 2010). For typical KBOs in the ring, \( U \) is the orbital velocity times \( h_r/(2D) \) with \( h_r \) the full vertical height of the ring at radius \( D \). With \( h_r \sim 3.5 \text{ AU} \) (Kalas et al. 2005) at \( D \sim 120 \text{ AU} \), \( U \) is close to 60 m s\(^{-1} \). Assuming KBOs with radius \( r = 50 \text{ km} \), the total debris mass \( m_e \) after the collision is roughly 1% of the mass \( M_{\text{kbo}} \) of one of the two colliders with a density \( \rho = 2 \text{ g cm}^{-3} \). Given the approximations in the models, the expected mass of dust \((\% M_{\text{kbo}})\) that is ejected after a collision of two 50 km radius KBOs is consistent with the mass estimated from the photometry of Fomalhaut b \((\% M_{\text{kbo}}\) for a 50 km radius KBO).

We assume a maximum post-collision outflow velocity at infinity equal to the escape velocity, \( \sqrt{8 \pi G \rho / 3} \). Considering this upper limit, the diameter \( s \) of the cloud is \( 2 r / \sqrt{8 \pi G \rho / 3} \) at the date \( t \) after the collision and reaches the observed size \( s \sim 1.16 \text{ AU} \) (Section 4.4.1) after \( \sim 50 \text{ yr} \), which is then a lower limit to the time since the collision of the putative KBOs. We can also estimate from the expansion expression that, after \( \sim 150 \text{ yr} \), the source would have a diameter \( \sim 3.5 \text{ AU} \) and would be \( \sim 10 \) times fainter than the current detections assuming the same amount of reflecting dust. It would not be detected in our images. Thus, if Fomalhaut b is the product of a collision, the event should have occurred between \( \sim 50 \) and 150 yr ago to be consistent with our detections. This range is consistent with the possible trajectories that put Fomalhaut b inside the ring of dust \( \sim 50-150 \text{ yr ago} \) (Section 4.2). As the size of the possible extended source is very approximative, we keep in mind that these numbers are coarse estimations.

Finally, we evaluate the rate of a collision of two \( r = 50 \text{ km} \) KBOs inside the ring of dust. We first find the collision time, which reads

\[
I_{\text{col}} = \frac{n}{4 \pi n r^2} \frac{1}{U} \tag{8}
\]

with \( n \) being the number of KBOs with radius \( r \) per unit volume. To estimate \( n \) we need the mass \( M_{\text{disk}} \) of the debris disk around Fomalhaut. We assume \( M_{\text{disk}} = 40 M_{\text{Earth}} \) because (1) estimates of the mass of the Sun’s early Kuiper Belt are \( M_{\text{disk}} = 40 M_{\text{Earth}} \) (Schlichting & Sari 2006), and (2) estimates of the mass of the Vega debris belt are \( 10 M_{\text{Earth}} \) in objects with radii \( < 100 \text{ km} \) (Müller et al. 2010) whereas the Vega IR luminosity is four times fainter than that of Fomalhaut. Simplifying by setting the radii of all the KBOs to 50 km does not qualitatively alter the collision frequency estimated below. Under these conditions and considering the belt surrounding Fomalhaut A has a volume \( 2 \pi D^2 \Delta D h_r \) with \( \Delta D \sim 1.3 \text{ D} \) (Kalas et al. 2005), the number of KBOs is

\[
n \sim 2 \times 10^8.
\]

Figure 8. Same as Figure 7 in the case in which the object is resolved. The magenta line give the expected fluxes from a cloud of refractory carbonaceous material (see the text).

(A color version of this figure is available in the online journal.)
Using \( U = \pi h \sqrt{M_\odot/M_\odot (1 \text{ AU}/D)^3} \) and Equations (8) and (9), we can write

\[
t_{\text{col}} = 0.13 \frac{(D/r)^2}{2 \pi} \frac{M_{\text{KBO}}}{M_{\text{disk}}} \sqrt{\frac{(D/1 \text{ AU})^3}{M_\odot}}.
\]

Finally, the rate \( \kappa \) of collisions of two KBOs with radii \( r \) is the ratio of the number of KBOs (Equation (9)) to \( t_{\text{col}} \)

\[
\kappa = \frac{2 \pi}{0.13} \frac{(r/D)^2}{(M_{\text{KBO}}/M_{\text{disk}})^2} \sqrt{\frac{(1 \text{ AU}/D)^3}{M_\odot}}.
\]

Equation (11) with \( M_{\text{disk}} = 40 M_\odot \) and \( M_\odot = 2 M_\odot \) indicates that \( \sim 1 \) collision of two \( r = 50 \text{ km} \) KBOs occurs every century in the ring around Fomalhaut A. The rate is low enough to explain that we detect only one event around Fomalhaut as each event would be detectable during \( \sim 200 \text{ yr} \) in our images. At the same time, it is high enough to make such a \( \sim 50–150 \text{ yr} \) old event plausible.

In summary, we conclude that it is plausible that Fomalhaut b is a cloud of dust that was produced \( \sim 50–150 \text{ yr} \) ago inside the dust belt by the collision of two KBOs with radii \( \sim 50 \text{ km} \).

### 4.4.5. Circumplanetary Satellite Swarm

Kennedy & Wyatt (2011, KW11) propose a model of circumplanetary satellite swarms that they apply to Fomalhaut b. They find that the planet mass can be \( \sim 2–100 M_\odot \), surrounded by a swarm that lies at 0.1–0.4 Hill radii. The swarm mass would be of the order of a few lunar masses. But these numbers are derived from K08 photometry of an unresolved source.

Here, we use the same model under the same assumptions (body size distribution and maximum/minimum body sizes, dust density, etc.) but we consider a swarm of satellites with diameter \( 1.16 \text{ AU} \), our photometry (Table 5), and a star with age 440 Myr instead of 200 Myr (Mamajek 2012). We do not describe the model as it is done in KW11. We only use the meaningful equations to constrain the planet mass and the swarm mass and size following the steps in Sections 3.3.1 and 3.3.2 of KW11. First, we derive the total cross-sectional area of dust \( \sigma_{\text{tot}} \) from our photometry: \( \sigma_{\text{tot}} = 6.12 \times 10^{-4} \text{ AU}^2 \), assuming a geometric albedo 0.08, a phase function 0.32 (Lambert sphere at maximum extension from its host star), the star effective temperature 8751K (Di Folco et al. 2004), and a stellar luminosity \( 6.34 \times 10^{37} \text{ W} \) (K08).

As we assume that we resolve Fomalhaut b, we can write 2 \( \eta \sigma_{\text{tot}} \) is where \( \eta \) is the semimajor axis of the satellites of the swarm relative to the Hill radius \( \sigma_{\text{tot}} \) at the Fomalhaut b separation (118 AU) and \( s \) is the swarm diameter. As explained in Section 4.4.1, the size of the extended source \( s = 1.16 \text{ AU} \) is approximate and at F814W, the image of Fomalhaut b could be reproduced by a source with radius up to \( s = 2.32 \text{ AU} \). Thus, we consider \( 1.16 \text{ AU} < s < 2.32 \text{ AU} \). Using the Hill radius expression (Equation (1) in KW11) and 2 solar masses for Fomalhaut (KW11), we derive two constraints: \( 0.61/M_\odot^{1/3} < \eta < 1.22/M_\odot^{1/3} \), where \( M_\odot \) is the planet mass expressed in Earth masses.

Considering a collision-limited satellite swarm around Fomalhaut b (i.e., swarm has just started to suffer collisions) that reproduces the observed \( \sigma_{\text{tot}} \), it imposes a minimum limit for the satellite semimajor axis \( \eta > 0.29/M_\odot^{0.12} \) for a 440 Myr system (i.e., a 440 Myr collision time; see KW11 for details).

KW11 also study the collision velocities that are required to destroy a large object at the Fomalhaut b position. Assuming a steady-state collisional cascade and a two-phase size distribution for the particles, KW11 link the collision velocity to the swarm size \( \eta \) and the planet mass \( M_\odot \). Using their equations in the case of a resolved object we set a constraint that reads \( \eta > 0.69/M_\odot^{0.46} \) (KW11).

Moreover, KW11 assume that satellite orbits with \( \eta > 0.5 \) are not stable and do not consider them. Finally, we account for the 1 \( M_\odot \) upper limit that Janson et al. (2012) put from the non-detection at 4.5 \( \mu \text{m} \) for a 400 Myr system (close enough to 440 ± 40 Myr proposed by Mamajek 2012). We plot all the constraints in Figure 9, which gives the semimajor axis \( \eta \) of the satellites against the planetary mass \( M_\odot \). The parameters for which KW11’s model can reproduce the photometry of a 1.16 AU source are within the dashed area. The minimum and maximum planetary masses are \( \sim 2 M_\odot \) and 1 \( M_\odot \), and the swarm has a total mass \( 2–11 M_\odot \) and lies at 0.15–0.5 Hill radii around the planet.

In the case of an unresolved object (Figure 7 in KW11), KW11 find that the mass of the planet \( (< 100 M_\odot) \) is not sufficient for it to have a significant gaseous envelope and enable mechanisms that could explain the migration of Fomalhaut b that presumably originates somewhere closer to the star. KW11 also argue that a single planet with mass \( < 100 M_\odot \)—which is similar to or less than the mass of the main debris ring (1–3000 \( M_\odot \); Wyatt & Dent 2002; Chiang et al. 2009)—is unlikely responsible for shaping the dust belt. In our case of a source with diameter 1.16 AU, the range of the planetary mass goes up to 1 \( M_\odot \) and a Jupiter-like planet can have a significant gaseous envelope and shape the dust belt.

### 5. CONCLUSIONS

Our independent analysis of the ACS, WFC3, and STIS data taken in 2004, 2006, 2009, and 2010 confirms that Fomalhaut b...
is real and is not a speckle artifact as we clearly detect the object at the three epochs at several filters (Figures 1–3). In this way, we confirm the Kalas et al. (2008, K08) detection. However, we find differences in our analysis concerning astrometry and photometry of Fomalhaut b.

Unlike Kalas et al. (2010), we cannot affirm that the object follows a trajectory that crosses the belt of dust because our astrometry is consistent within 1.16σ with crossing and non-crossing orbits (Section 4.2).

We detect Fomalhaut b in the short wavelength filter F435W whereas K08 find an upper limit. We also derive an upper limit at F110W using WFC3. In the case of an unresolved source, our photometry is consistent with K08 at F606W/2004 and F814W/2006 but differs at F606W in the 2006 data (Section 4.3.1). As a consequence, unlike K08, we detect no significant variability of the F606W flux between 2004 and 2006. Considering the reduced and possible lack of variability at F606W and the detection at F435W, several dust cloud models discussed by K08 cannot be ruled out anymore (Section 4.3.2). K08 propose also a model of a Jovian planet surrounded by a large disk of dust. Janson et al. (2012) exclude this explanation mainly because of the variability at F606W and the assumed dust belt crossing trajectory. Given our new photometry and astrometry, we cannot reject this model (Section 4.3.3).

In the second part of our analysis, we study the possibility that Fomalhaut b is spatially resolved in our images. The S/Ns of the detections are low and more data are required to confirm the result, but we find that our images are more consistent with an extended source with diameter 1.16 AU than with a point source (Sections 4.4.1 and 4.4.2). The photometric variability of an extended source model at F606W is larger than for a point source, but it is not yet significant (<2.5σ; Section 4.4.3). Two models are considered to explain the size and the photometry of an extended source. First, the measurements are consistent with a cloud of dust produced by a collision of two KBOs with radius 50 km that would have occurred ~50–150 yr ago (Section 4.4.4). The second model is an adaptation of the circumplanetary satellite swarm model proposed by Kennedy & Wyatt (2011). It is consistent with the data when considering a 2 $M_{\text{Earth}}$–1 $M_J$ planet surrounded by a swarm that lies at 0.15–0.5 Hill radii (Section 4.4.5).

The nature of the Fomalhaut b object is still uncertain. However, from the two independent current and K08 analyses of the HST data, we can claim that Fomalhaut b is a real object that orbits Fomalhaut A.

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