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Sample sizes for surveillance of *S. aureus* transmission to monitor effectiveness and provide feedback on intraoperative infection control including for COVID-19

Franklin Dexter\(a,b,⁎\), Johannes Ledolter\(a\), Russell T. Wall\(b\), Subhradeep Datta\(c\), Randy W. Loftus\(a\)

\(a\) University of Iowa
\(b\) MedStar Georgetown University Hospital
\(c\) Medical student 2022 class, Georgetown University

A B S T R A C T

Reductions in perioperative surgical site infections are obtained by a multifaceted approach including patient decolonization, hand hygiene, and hub disinfection, and environmental cleaning. Associated surveillance of *S. aureus* transmission quantifies the effectiveness of the basic measures to prevent the transmission to patients and clinicians of pathogenic bacteria and viruses, including Coronavirus Disease 2019 (COVID-19). To measure transmission, the observational units are pairs of successive surgical cases in the same operating room on the same day. We evaluated appropriate sample sizes and strategies for measuring transmission.

There was absence of serial correlation among observed counts of transmitted isolates within each of several periods (all \(P \geq .18\)). Similarly, observing transmission within or between cases of a pair did not increase the probability that the next sampled pair of cases also had observed transmission (all \(P \geq .23\)).

Most pairs of cases had no detected transmitted isolates. Also, although transmission (yes/no) was associated with surgical site infection (\(P = .004\)), among cases with transmission, there was no detected dose response between counts of transmitted isolates and probability of infection (\(P = .25\)).

The first of a fixed series of tests is to use the binomial test to compare the proportion of pairs of cases with *S. aureus* transmission to an acceptable threshold. An appropriate sample size for this screening is \(N = 25\) pairs. If significant, more samples are obtained while additional measures are implemented to reduce transmission and infections. Subsequent sampling is done to evaluate effectiveness. The two independent binomial proportions are compared using Boschloo’s exact test. The total sample size for the 1st and 2nd stage is \(N = 100\) pairs.

Because *S. aureus* transmission is invisible without testing, when choosing what population(s) to screen for surveillance, another endpoint needs to be used (e.g., infections). Only 10/298 combinations of specialty and operating room were relatively common (\(\geq 1.0\%\) of cases) and had expected incidence \(\geq 0.20\) infections per 8 hours of sampled cases. The 10 combinations encompassed \(\geq 17\%\) of cases, showing the value of targeting surveillance of transmission to a few combinations of specialties and rooms.

In conclusion, we created a sampling protocol and appropriate sample sizes for using *S. aureus* transmission within and between pairs of successive cases in the same operating room, the purpose being to monitor the quality of prevention of intraoperative spread of pathogenic bacteria and viruses.

1. Introduction

Reductions in perioperative surgical site infection are obtained by a multifaceted approach including patient decolonization (viral anti-septic), hand hygiene, use of closed lumen intravenous systems and hub disinfection, and environmental cleaning facilitated by evidence-based surveillance feedback.\[1,2\] This approach can be adapted to address transmission of Coronavirus Disease 2019 (COVID-19) to patients and clinicians.\[3,4\]

Monitoring of *S. aureus* transmission (e.g., from one patient to the next in an operating room) is done, in part, because perioperative *S. aureus* transmission is associated with surgical site infection.\[5\] The efficacy of a bundle to reduce surgical site infections is greater when combined with feedback on transmission.\[5\] Perioperative transmission has been linked to development of postoperative infections via single nucleotide variant analysis,\[5–7\] including more pathogenic *S. aureus* strain characteristics owing to increased biofilm formation\[5\] and desiccation tolerance\[6\]. Not only does *S. aureus* transmission involve patient skin, provider hand, and environmental reservoirs in operating rooms,\[1,5,7\] the same applies to the epidemiology of perioperative transmission of Enterococcus, Klebsiella, Acinetobacter, Pseudomonas, and Enterobacter.\[8–11\]

Not surprisingly, the epidemiology of viral pathogen transmission, including but not limited to SARS-CoV-2, involves the same reservoirs, and thus the same hygiene measures are important to control viral spread.\[8,12,13\] Thus, monitoring of intraoperative *S. aureus* transmission not only serves as a measurement for the effectiveness of basic measures to prevent the operating room transmission of pathogenic
bacteria but also SARS-CoV-2.[1,3,4]

To measure *S. aureus* transmission, the observational units are pairs of successive surgical cases in the same operating room on the same day.[1,14] Routine sampling of pairs of cases is done by operating room nurses, surgical technologists, or anesthesia technicians. Each person doing sampling characteristically can sample two pairs of cases per day (e.g., one pair in the morning and another in the afternoon).[1,14] Sampling is from a common targeted population, whether a facility with multiple services and operating rooms, a service at a facility among multiple operating rooms, or several operating rooms. More pairs of cases can be sampled in a day if cases are brief, because duration is not a significant covariate for transmission.[1,15] Samples for culturing are taken at precisely chosen locations in operating rooms (e.g., anesthesia machine vaporizer or patient's nasopharynx) and epochs (e.g., before case starts and when finished). Transmission is established when the same *S. aureus* isolate is obtained from ≥2 distinct, epidemiologically-related reservoirs within the pair of successive surgical cases.[1,14]

What is unknown is the minimum appropriate sample size of pairs of cases to evaluate if a hospital, surgical specialty, group of operating rooms, etc., has a sufficiently high incidence of transmission to warrant changes in infection control practices. To know whether perioperative infection control measures are effective, how many pairs of cases should be sampled? If that threshold incidence were exceeded, how many additional pairs should be sampled during and after implementation of an infection-reducing bundle, with feedback, to assess improvement? Finally, once bacterial (and viral) transmission has been mitigated, how often is sampling required for surveillance and feedback to detect new environmental contamination, with consequent risk of infection both to patients and healthcare workers?

### 2. Previously unpublished data used for illustrations

Data collection was approved by the Georgetown-Medstar Institutional Review Board.

*S. aureus* transmission was measured using OR PathTrac (RDB Bioinformatics, Coralville, Iowa) for 336 pairs of cases at the studied hospital over 235 days. Deidentified data are posted at [https://FDshort.com/SampleSize2SeqTests](https://FDshort.com/SampleSize2SeqTests). The specific dates are excluded deliberately. There are three data for each pair of cases: A) date in units of days from the starting date plus 1, ranging from 1-235; B) operating room numbered 1-24; and C) count of transmitted isolates, ranging from 0-10.

The sample size of 336 pairs of cases (Table 1) was not chosen to perform the current study. The start date of samples was chosen based on the hospital's objective to improve basic perioperative infection control measures. The last date of samples was early March 2020, by when there had been >100 cases in the USA of COVID-19.[16] The authors performed analyses throughout March 2020, because we recognized that the data being collected could be used to address quickly the need for greater intraoperative infection control because of COVID-19.[3,4] The hospital collected no additional samples in March because elective surgery was stopped because of the COVID-19 pandemic.

Interventions to reduce environmental contamination include capital equipment, and thus vary among operating rooms (e.g., anesthesia machines with greater ease of decontamination[17] specialized ventilation systems,[16,19] germicidal lighting,[20] door locks and electronic signage to prevent main and inner core doors from being open simultaneously,[21] and rooms of different physical configurations[22]). Also, cases of different specialties are scheduled non-randomly into specific operating rooms.[15,23] However, using the data (Table 1) for illustration, Kruskal-Wallis test (i.e., analysis of variance on ranks) for the counts of transmitted isolates did not differ significantly among the 24 rooms, *P* = .32 (STATA 16.0, College Station, TX). We created a fourth variable in the upload for readers, column D) transmitted isolate ≥1 versus ≥0. The incidence of transmission did not differ significantly among rooms, Fisher exact test *P* = .46. Because the specific room was not a covariate, we performed subsequent work while pooling among rooms.

We divided the pairs of cases into quartiles of successive observations, creating the fifth variable in the uploaded worksheet, column E. Because the sample size was not a multiple of 4, the pairs of cases in each of the periods were similar, but not identical (Table 1, range 83-86 pairs of cases). The unequal sample sizes among periods were selected to achieve absence of overlap of dates among the periods. The counts of transmitted isolates differed among periods, *P* < .001 using the Kruskal-Wallis test. The percentage incidences of transmission also differed among periods, *P* < .001 using Fisher’s exact test.

During the 1st period, there were progressively increasing counts of transmitted *S. aureus* isolates and proportion of pairs of cases with transmission (Table 2). This is shown by the Kendall’s τ, of the count data having positive association with date, and by logistic regression of the binary data having positive association with date. This increase in transmission during period 1 motivated the study hospital to improve patient decolonization, hand hygiene, use of closed lumen intravenous systems and hub disinfection, and environmental cleaning, supplemented by ongoing surveillance (e.g., to target the use of ultraviolet light [UV-C] for specific rooms[14,15]). For our purposes in using the data to evaluate sample sizes for surveillance of intraoperative transmission, the impact of the trend in period 1 was that the data from that period were omitted from subsequent analyses. The hospital did not revise the infection-reducing bundle during the periods with collected samples; during period 4, COVID-19 was minimally in its community.

### 3. Statistical associations between sequential pairs of cases within periods

Sample sizes for accurately estimating transmission within or between periods depend markedly on the serial correlation.[25] When there is positive serial correlation, consecutive observations stay above average for some time, and vice-versa. Sample sizes need to be greater when there is positive serial correlation. The effect of serial correlation on sample size has been foundational to operating room management science and how those data need to be analyzed.[26–30] For example, serial correlation is a reason why adjusted and raw utilization of operating room block time cannot be estimated accurately by surgeon.[26,27] Serial correlation affects why cancellation rates and turnover times need to be analyzed using batches (bins) of two-weeks or longer.[28,30–32]

Another reason to know whether serial correlation is present is that

### Table 1

| Period | N pairs of cases | Days from first date + 1 | Mean (SD) transmitted isolates | Range transmitted isolates | % pairs of cases with transmission |
|--------|-----------------|-------------------------|------------------------------|---------------------------|-----------------------------------|
| 1      | 84              | 1 to 88                 | 0.45 (1.36)                  | 0 to 8                    | 14.29%                            |
| 2      | 86              | 89 to 149               | 1.36 (2.30)                  | 0 to 10                   | 40.70%                            |
| 3      | 83              | 150 to 194              | 0.76 (1.86)                  | 0 to 10                   | 20.48%                            |
| 4      | 83              | 197 to 235              | 0.35 (1.19)                  | 0 to 7                    | 12.05%                            |

The counts of transmitted isolates differed significantly among periods, *P* < .001 using the Kruskal-Wallis test. The percentage incidence of transmission also differed among periods, *P* < .001 using Fisher’s exact test.
positive serial correlation could be an advantage when selecting pairs of cases for sampling.\textsuperscript{33} For example, suppose that a hospital may implement an infection control bundle and feedback for two populations, plastic surgery and gynecological oncology. If there were substantial serial correlation, then if a pair of successive cases of plastic surgery had detected transmission, the next pair of cases sampled likely should be plastic surgery.\textsuperscript{33} There also would be an advantage to having the \textit{S. aureus} results available by early the next day for purposes of selecting pairs of cases for surveillance. However, if there was no serial correlation, results need not (and should not) influence sampling.\textsuperscript{15}

When a pair of cases for which sampling was done at the studied hospital had counts of transmitted isolates that were above average for the period, with the average estimated using the sample mean (Table 1), there increased chance that the next sampled pair of cases also had transmitted isolates that were above average. That was not so, \( P = .18 \), \( P = .23 \), and \( P = .63 \) among periods 2, 3, and 4, respectively (Table 2). Similarly, we asked whether observing transmission within or between cases of a pair\textsuperscript{1,14} increased the probability that the next sampled pair of cases also had observed transmission. That too was not so, \( P = .82 \), \( P = .23 \), and \( P = .63 \), respectively (Table 2). Finally, there was no significant serial correlation detected by the runs test by date (Table 3). These results imply that there is no need to adjust the sample size calculations shown below for serial correlation.

4. Sample sizes are based on proportion of pairs of cases with \textit{S. aureus} transmission

Three facts indicate that the endpoint for designing sampling should be the presence versus absence of transmission (i.e., 0 versus \( \geq 1 \) transmitted isolate).

First, most (i.e., greater than half) of the pairs of cases had no detected transmitted isolates (Table 1).

Second, the counts of transmitted isolates depend on the numbers of sampling time points and locations. For example, in the randomized study of infection control bundle with feedback, there were 33 samples per pair of cases, preoperative, intraoperative, and postoperative.\textsuperscript{1,11} In contrast, an ongoing prospective observational study of bactericidal intraoperative lighting has 22 samples per pair of cases, all intraoperative.\textsuperscript{20,34} Different hospitals will choose from among sampling time points and locations based on presumptive information. Therefore, the means of the counts (Table 1 column 4) are influenced by the skewness of the data and may differ among hospitals based on how many samples are done for each pair of cases. In other words, the recommended sample size based on the means may not be generalizable among hospitals.

Third, in the randomized study, surgeons were assigned at random to a group with usual infection control or to another group with an infection control bundle and feedback on \textit{S. aureus} perioperative transmission.\textsuperscript{1} Transmission, the primary study endpoint, was associated with surgical site infection; 11.0\% (8/73) of patients with \textit{S. aureus} transmission detection had infection versus 1.8\% (3/163) without transmission detection, risk ratio 5.95, 95\% confidence interval 1.63-21.80, \( P = .004 \).\textsuperscript{1} We evaluated for the current study whether transmission of more isolates was associated with greater risk for infection.\textsuperscript{1} Among the 11 patients with surgical site infections,\textsuperscript{1,11} the counts of transmitted isolates \( \times \) patients were \( 8 \times 1, 7 \times 1, 3 \times 4, \) and \( 1 \times 2 \). In comparison, among all 73 patients with transmitted isolates, the distribution of counts of transmitted isolates were \( 10 \times 1, 8 \times 1, 7 \times 4, 6 \times 3, 5 \times 7, 4 \times 8, 3 \times 8, 2 \times 16, \) and \( 1 \times 25 \). Using the Kolmogorov-Smirnov two-sample test to compare the distributions of non-zero counts between groups, \( N = 11 \) and \( N = 73 \), respectively, the exact two-sided \( P = .25 \). Therefore, the distributions did not differ significantly.

Based on the preceding three observations, we subsequently neglect the counts for purposes of inference, and use the binary, presence or absence of transmission.

5. Adjustment of type I error rate for the 2 sequential tests

What we have determined to this point is that two statistical tests will be performed in a fixed sequence (Table 4). First, the binomial proportion of pairs of cases with \textit{S. aureus} transmission will be estimated. The null hypothesis tested using the binomial test will be that the incidence does not differ from an acceptable threshold. If \( P \geq \alpha \) (e.g., with \( \alpha = .05 \)), sampling ceases because it would be more useful to target other populations (e.g., operating rooms). If \( P < \alpha \) for the one-sided alternative that the incidence of transmission is greater than threshold, more sampling commences. During the weeks spent preparing to implement additional measures to prevent transmission and infections, sampling continues if, as shown below, more samples are needed at baseline to evaluate reductions over time. After intervention starts, sampling is done for a similar number of pairs of cases to

Table 2
Trends and serial correlation within each of the 4 periods.

| Period | N pairs of cases | Kendall’s \( T_\alpha \) transmitted isolates, \( \alpha \) | Logistic regression transmitted or not, odds ratio per each 1 day | Runs test, transmitted isolates, mean, Runs | Runs test, transmitted isolates, median | Runs test, transmitted or not |
|--------|------------------|-----------------------------------------------|------------------------------------------------|---------------------------------|---------------------------------|---------------------------------|
| 1      | 84               | 0.23, \( P = .009 \)                         | 1.034                                          | 21, \( P = .97 \)               | 21, \( P = .97 \)               |
| 2      | 86               | 0.01, \( P = .77 \)                          | 1.000                                          | 41, \( P = .18 \)               | 43, \( P = .82 \)               |
| 3      | 83               | -0.03, \( P = .71 \)                         | 0.993                                          | 24, \( P = .23 \)               | 24, \( P = .23 \)               |
| 4      | 83               | -0.11, \( P = .17 \)                         | 0.939                                          | 19, \( P = .63 \)               | 19, \( P = .63 \)               |

For calculations, the 336 observation were sorted in ascending sequence by date and then by room. The runs tests were continuity corrected. When based on the mean or median, these are tests for serial randomness. For the binary data, that is the same as the Wald-Wolfowitz runs tests. The sample sizes are 84, 86, 83, and 83, respectively. The results were the same for the analysis of the counts of transmitted isolates based on the median and for the analysis of the binary variable transmission or not. That was expected so, the medians equaled 0 isolates (Table 1). For the 3 columns to the right, the numbers of runs are provided to give some insight into the effect size. For example, consider 43 runs in the 2nd row far-right column. Suppose that a pair of cases has detected \textit{S. aureus} transmission. The next three pairs of cases do not. Then, the 5th pair of cases has transmission. The three pairs of cases without transmission had 1 run of 0 that the next sampled pair of cases also had observed transmission. That was expected so, the medians equaled 0 isolates (Table 1). For the 3 columns to the right, the numbers of runs are provided to give some insight into the effect size. For example, consider 43 runs in the 2nd row far-right column. Suppose that a pair of cases has detected transmitted isolates (Table 1).

Table 3
Tests of lag 1 serial correlation within each of the periods using presence or absence of \textit{S. aureus} transmission among all pairs of cases on the same day.

| Period | N days | Runs, \( P \)-value |
|--------|--------|---------------------|
| 1      | 53     | 19, \( P = .95 \)    |
| 2      | 41     | 25, \( P = .07 \)    |
| 3      | 30     | 15, \( P = .29 \)    |
| 4      | 25     | 11, \( P = .47 \)    |
estimate the achieved lower incidence of \( S. aureus \) transmission. The null hypothesis tested by comparing the two independent binomial proportions would be no difference in the proportions of pairs of cases with transmission. The alternative hypothesis would be one-sided, a reduction in incidence. (Use of infection control bundles may be ineffective, but they do not result in greater transmission.)

What we consider in the current section is how to adjust the selected Type I error rates for each of the 2 sequential tests to achieve an overall \( \alpha = .05 \). This is straightforward because the 2 hypotheses are tested in a fixed sequence, and if the finding for the first hypothesis were \( P \geq \alpha \), there would be no need for consideration for the second hypothesis. To achieve an overall family-wise Type I error rate of \( \alpha = .05 \), the exact sample size for the one-sided test would be \( N = 14 \) pairs of cases, using the original \( \alpha \) level.\[^{35-37}\] In other words, no adjustment should be made.

### 6. Sample size estimation using the observational data from the study hospital

As summarized in the preceding section, the first of the two hypotheses tests whether the proportion of pairs of cases with incidence of transmission of \( S. aureus \) significantly exceeds a low threshold. For that threshold we use 12.05\%, from Table 1 period 4. We plan for 80\% statistical power to detect a greater incidence of transmission at baseline, using the largest observed incidence, 40.70\% from Table 1 Period 2, 35 of 86 pairs. Using \( \alpha = .05 \), the exact sample size for the one-sided binomial test would be \( N = 15 \) pairs of cases. Calculations were performed using StatXact-12.0 (Cytel, Inc., Cambridge, MA).

The null hypothesis for the second test is no difference between the two groups, before and after. We use the two-group one-sided Boschloo’s exact test for the difference of independent proportions (StatXact-12.0). Comparing 40.7% with 12.05\%, again with \( \alpha = .05 \), the exact sample size would be \( N = 29 \) pairs of cases in each of the two groups. Therefore, 14 pairs of cases would be collected while the infection control bundle is being planned and implemented progressively, where \( 14 = 29 -15 \) already collected. There would be 29 pairs of cases sampled after greater infection control. The total sample size would be \( \approx 58 \) pairs of cases.

The preceding sample size is based on use of Boschloo’s test (Table 4). Because we are performing one-sided tests, three common alternatives (Fisher’s exact test, Pearson chi-squared test, and the likelihood ratio test) give identical \( P \)-values.\[^{38}\] Therefore, we consider the statistical power of Fisher’s exact test. Boschloo’s test has greater statistical power than Fisher’s exact test under all combinations of \( \alpha \), total sample size, and distribution of cases between groups.\(^{159}\) For example, whereas Boschloo’s test would require \( N = 29 \) per group (above), the sample size for Fisher’s exact test would be \( 34 \) per group (StatXact-12.0). Fisher’s exact test is not always available as a one-sided test, and, if so, the sample size would be \( 41 \) per group. Importantly, just like Fisher’s exact test, Boschloo’s test does not have Type I error rates exceeding nominal levels under our conditions.\(^{39}\) For example, for two-sided tests with \( \alpha = .05 \), and \( N = 50 \) in each of the two groups, and proportions of 10.0\% or 25.0\% in each of the two groups, for 3.2\% or 4.1\% of simulations the null hypothesis was rejected, neither exceeding the nominal incidence of 5.0%.\(^{159}\) Therefore, the use of Boschloo’s test for surveillance of \( S. aureus \) transmission is reasonable.

Bernoulli Cumulative Sum (CUSUM) control chart for sustained monitoring is shown in the uploaded file (Table 4).\(^{40}\)

### 7. Example based on incidences from prior randomized trial

The preceding incidences were not obtained as part of a formally described and followed protocol. Therefore, although the incidences were estimated accurately, they may not be generalizable. To address this potential limitation, we repeated our sample size calculations using estimates of incidence from the recently published randomized trial.\(^{11}\)

In the trial, surgeons were assigned either to a group with usual infection control or to another group with an infection control bundle for 4 months followed by bundle with feedback on \( S. aureus \) perioperative transmission for 8 months.\(^{11}\) At 12 months, among the patients of the surgeons randomized to usual practice, 50 of 130 pairs of patients had \( S. aureus \) transmission. That was an incidence of 38.5\%, versus 40.70\% from Table 1. In the treatment (bundle and feedback) group, 11 of 68 pairs of cases had transmission. That was an incidence of 16.2\%, versus 12.05\% from Table 1.

The first of the two hypotheses tests would be the one group one-sided binomial test. Comparing 38.5\% as the baseline with a threshold of 16.2\%, using 80\% statistical power and \( \alpha = .05 \), the exact sample size needed would be \( N = 25 \) pairs of cases. For facilities seeking greater confidence in the quality of infection control, but at the cost of more samples, using 90\% statistical power the necessary sample size would be \( N = 34 \) pairs of cases.

The second of the two hypotheses, tested only if the first were statistically significant, would be the one-sided Boschloo exact test for the difference of the independent proportions. Comparing 38.5\% with 16.2\%, again using 80\% statistical power and \( \alpha = .05 \), the exact sample size needed would be 50 in each of the two groups. Therefore, 25 pairs of cases would be collected while the infection control bundle is being planned and implemented, where 25 = 50 for the test of the second hypothesis minus 25 from the test of the first hypothesis. There would be 50 pairs of cases sampled after use is being done consistently. The total sample size would be 100 pairs of cases. For facilities wanting to assure more reliably that decrease in transmission has occurred, using \( \alpha = .01 \), the total sample size would be 162 pairs of cases.

The University of Iowa’s plan is to rely on the need for 25 pairs of cases for screening, and 75 additional pairs for each studied population (Table 4).

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Table 4

| Step | Protocols |
|------|-----------|
| 1    | Identify for each hospital what populations would be evaluated |
|      | Apply the principles in Table 5 and its legend to choose combinations of specialty and operating room |
| 2    | For each population selected from Step 1, sample from 25 successive pairs of cases |
|      | For large initial incidences of transmission, 15 pairs of cases may be enough |
| 3    | For each population from Step 2 with incidences of transmission exceeding threshold by the binomial test, perform additional sampling while implementing enhanced infection control |
|      | Sampling would be 75 additional pairs of cases, but for large initial incidences 43 additional pairs of cases may be enough |
| 4    | For each population from Step 3 with significant decline in transmission by Boschloo’s exact test, monitor sustained performance by sampling from 1-2 (average 1.5) pairs of cases per workday |

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8. Defining the population: adopt a stratified sampling strategy

Because S. aureus transmission is invisible without testing, when choosing what population(s) to screen for surveillance, another end-point needs to be used. For example, at the University of Iowa, currently during the COVID-19 pandemic, process measures are being reported daily, including use of patient decolonization (viral antiseptics) and patient initial phase I post-anesthesia care unit recovery and multimodal cleaning after each higher risk procedure or when the procedure is sufficiently urgent that it was started before the results of testing for SARS-CoV-2 were complete.[1-4,12,13,24] We provide an example of defining the population for sampling by using patient outcomes (i.e., infection) data from 4 studies of closed lumen intravenous systems and hand decontamination.[41-44] (These were identified data that we had available, and quickly given that the current study was performed acutely when the COVID-19 pandemic spread to the USA). The overall incidence of hospital acquired infection was 7.5%, 294 infections among the 3936 cases (i.e., rows in the uploaded file). Associations known from previous studies supported validity to this use of the data. Specifically, increases in anesthesia duration were associated with greater incidence of infection (P < .0001 by Kendall’s τ and logistic regression).[23,45-47] In addition, by Kruskal-Wallis tests, the incidence differed among the 11 specialties (P = .0001)[23,45-47] and among the 86 different operating rooms (P = .0001).[23] For example, the incidences of infection were 15.5% for urology and 11.5% for gynecology versus 4.7% for otolaryngology and 5.0% for orthopedic surgery. Among the 24 of 86 rooms each with at least 1.0% of the cases, the two largest incidences of infection were 14.1% and 14.0%, and the lowest observed incidences were 3.1% and 3.2%.

We examined the benefit of limiting the population sampled to a few combinations of specialty and room (Table 4).[15] Operating room matters not only because environmental contamination affects the room, and interventions to reduce transmission include capital equipment installed in specific rooms,[17-19,20-23] but because sampling of S. aureus transmission is for successive cases in the same room and day. Specialty matters because transmission differs among specialties, the incidences of infection differ among specialties, interventions to reduce surgical site infections have contributions differing among specialties, and the distribution of cases of different specialties differ among rooms due to case scheduling.[6,7,14,15,23] For example, even though a breast surgery case may follow an orthopedic case,[43,44] the pairing is sufficiently uncommon, and patient care sufficiently different, as to make such pairing non-insightful. Because S. aureus transmission does not appear to be influenced by duration.[1,4,6,7,14] there is more opportunity by choosing pairs of cases from specialty × rooms with more expected infections per hour.[15] Among the 298 combinations of specialty and room, there were only 10 that were both relatively common, ≥ 1.0% of cases, and expected to have ≥ 0.20 infections per 8 hours of sampled cases (Table 5). The 10 combinations encompassed ≥ 17% of cases, the population(s) to be targeted for surveillance of transmission. If sampling will be done, pooled, with several combinations of specialty and room, then stratified sampling would ideally be done to achieve balance before versus after implementation of enhanced infection control.

9. Discussion

Monitoring of S. aureus transmission is done, in part, because it serves as a measurement for the effectiveness of basic measures to prevent the transmission of pathogenic bacteria and viruses. The efficacy of an infection control bundle alone is greater when combined with feedback on transmission.[11] We determined the statistical design for initiating surveillance. As listed pointwise in Table 4, first, sampling would be done from one or a few different combinations of specialty and room. Second, plan to monitor the incidence of S. aureus transmission within and between successive cases. Perform 2 tests in fixed sequence. Sample from 25 pairs of cases (from the randomized trial [Section 7], 15 based on the observational data [Section 6]). Use the binomial test to evaluate if significantly high incidence of transmission. Third, if so, continue surveillance while initiating interventions, obtaining an extra 25 (or 14) pairs of cases. Evaluate effectiveness of modified patient decolonization (viral antiseptic),[12] hand hygiene, use of closed lumen intravenous systems and hub disinfection, and environmental cleaning using 50 (or 29) pairs of cases, applying Boschlo’s exact test. The larger sample sizes (i.e., the total of 50 pairs of cases) are those obtained based on the recently completed randomized trial showing reduced S. aureus transmission and surgical site infections.[12] Fourth, follow-up monitoring can be done using Bernoulli CUSUM control charts.

The surveillance of S. aureus transmission as studied in this paper applies to feedback to a hospital (e.g., Tables 1-3), surgical specialty (e.g., Table 4), and/or study sponsor with capital equipment installed in individual operating rooms (e.g., as described in Reference 15). Feed-back would not be by individual (e.g., surgeon), because perioperative infection bundles are multidisciplinary (e.g., include patient decolonization done before operating room entrance and environmental cleaning by housekeepers). The results of the current study show also that sample sizes would be insufficient. For example, we consider the futility of reporting the incidence of pairs of cases with transmission by surgeon (or proceduralist). Among the surgeons in the randomized trial, 0/32 had 25 pairs of cases over 6 months and only 2/32 had at least 15 pairs each 6-months.[11] At the outpatient surgery center of a large teaching hospital in Pennsylvania, only 2/65 surgeons had enough workload to fill an operating room for 8 hours every week.[48] At the hospital’s main surgical suite, only 28% of the surgeons (59/211) had enough workload to fill 1 room every week.[48] A large teaching hospital in New York had at most 1 pair of cases per month for 36/45 surgeons.[49] Statewide among Iowa’s 117 hospitals, 54% (SE 2%) of the surgeon-days with at least 1 outpatient case had only one case (i.e., there would be no pairs of cases to sample by surgeon).[50] Statewide among Florida’s 147 facilities with anesthesiologist pain medicine physicians performing spinal neuromodulation procedures, 98% (SE 1%) of the proceduralist-facility weeks had zero or one case.[51] Furthermore, we do not think that feedback to individual surgeons, anesthesiologists, etc., would be necessary. During the era of COVID-19, infection control processes protect the healthcare worker and his/her colleagues, not only the patients.

A limitation of our study is that the data did not include transmission measured using whole cell genome analysis.[51] Genomic analysis permits characterization of reservoirs of origin leading to infection and identification of reservoirs such as operating room environments or provider hands that infect repeatedly over days and weeks. Such feedback, different than examined in the current study, is useful when a hospital is faced with especially pathogenic pathogens, such as strong biofilm forming and/or desiccation tolerating S. aureus strains or ES-KAPE pathogens.[6,8,14] Furthermore, a hospital may want to examine the particular path for transmission of pathogens commonly linked to infections in their organization. Such transmission stories (i.e., essentially quality improvement case reports within the organization), require analysis of data by individual patient. The surveillance approach presented in the current paper represents only one option for use of
surveillance for improvement in perioperative infection control practices. The approach in the current paper is that applicable to monitoring of S. aureus transmission as a quantitative measure for infection control quality (e.g., appropriate for the COVID-19 crisis).

Our study examined statistical designs for initiating and monitoring S. aureus transmission within and among proven reservoirs as a marker of behavioral performance at applying all facets of an infection-control bundle. Preventing environmental contamination is important not only because it endangers patients but also healthcare workers. For example, hyper-transmissible desiccation resistant S. aureus was isolated at the end of cases from anesthesiology residents’ hands, certified registered nurse anesthetists’ hands, and anesthesia machines’ dials and valves. Similarly, viable SARS-CoV-1 and SARS-CoV-2 was isolated at the end of cases from anesthesiology residents. The table is sorted in descending sequence of this column. Finally, 8-hour workdays for 25 pairs of cases equals 25 × 2 cases per pair × mean hours per case / 8 hours. The table is sorted in descending sequence of this column. Finally, 8-hour workdays for 25 pairs of cases equals 25 × 2 cases per pair × mean hours per case / 8 hours.

Table 5

| Specialty        | Room | Cases | Cumulative % Cases | Infections (%) | Mean Hours per Case | Infections per 8 Hours | 8-Hour Workdays for 25 Pairs of Cases |
|------------------|------|-------|--------------------|----------------|---------------------|-----------------------|---------------------------------------|
| Gynecology       | 85   | 71    | 2%                 | 11.3%          | 2.6                 | 0.35                  | 16.3                                  |
| Otolaryngology   | 48   | 43    | 3%                 | 11.6%          | 2.8                 | 0.33                  | 17.7                                  |
| Orthopedics      | 63   | 46    | 4%                 | 15.2%          | 3.7                 | 0.33                  | 23.1                                  |
| Plastics         | 56   | 80    | 6%                 | 10.0%          | 2.7                 | 0.30                  | 16.9                                  |
| Vascular         | 73   | 62    | 8%                 | 11.3%          | 3.3                 | 0.28                  | 20.3                                  |
| Thoracic         | 75   | 44    | 9%                 | 13.6%          | 4.0                 | 0.27                  | 24.8                                  |
| Plastics         | 72   | 45    | 10%                | 8.9%           | 2.8                 | 0.25                  | 17.5                                  |
| Orthopedics      | 69   | 132   | 13%                | 6.8%           | 2.4                 | 0.23                  | 14.9                                  |
| Orthopedics      | 60   | 97    | 16%                | 6.2%           | 2.3                 | 0.21                  | 14.5                                  |
| Vascular         | 74   | 67    | 17%                | 7.5%           | 3.0                 | 0.20                  | 18.5                                  |

This footnote explains fields from left to right. Specialty shows 6 of the 11 because the rows included in the table are the 10 of 298 combinations of specialty and room accounting for at least 1.0% of cases and with an estimate of at least 0.20 infections per 8 hours of cases. Room refers to operating room, sequenced by study not geographic location (i.e., these are not literally room numbers). Data for all 86 rooms are in the uploaded dataset, https://FDshort.com/SampleSize2SeqTests. Cases are the count among the 3936 cases. The cumulative percentage of cases would be the cases divided by 3936, then summed from top to bottom. Infections are the ratio of the patients with hospital acquired infection (i.e., nosocomial) divided by the count of cases. The mean hours per case is anesthesia times, the data available, although recognizing that in practice operating room times may be used. Infections per 8 hours equals (infection % / 100) × (8 hours / mean hours per case). The table is sorted in descending sequence of this column. Finally, 8-hour workdays for 25 pairs of cases equals 25 × 2 cases per pair × mean hours per case / 8 hours.
