PARSING A LATTICE WITH MULTIPLE GRAMMARS

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Abstract

Efficiency, memory, ambiguity, robustness and scalability are the central issues in natural language parsing. Because of the complexity of natural language, different parsers may be suited only to certain subgrammars. In addition, grammar maintenance and updating may have adverse effects on tuned parsers. Motivated by these concerns, [25] proposed a grammar partitioning and top-down parser composition mechanism for loosely restricted Context-Free Grammars (CFGs). In this paper, we report on significant progress, i.e., (1) developing guidelines for the grammar partition through a set of heuristics, (2) devising a new mix-strategy composition algorithms for any rule-based grammar partition in a lattice framework, and 3) initial but encouraging parsing results for Chinese and English queries from an Air Travel Information System (ATIS) corpus.

1 Introduction

Efficiency, memory, ambiguity, robustness, and scalability are the central issues in natural language parsing [5, 21, 7, 19, 12, 24, 14]. Among others, Earley’s algorithm is often used for its superior performance due to a good combination of top-down prediction and bottom-up bookkeeping. Schabes’ algorithm precompiles all the prediction steps and some completion steps in Earley’s algorithm, and has resulted in improved average performance [19] while maintaining the cubic time complexity and square space complexity of Earley’s algorithm. Tomita [21] generalized Knuth’s LR(k) parsers to allow nondeterminism, and reported faster performance than Earley’s parser. However, in the worst case, as different researchers [23, 7] have pointed out, (G)LR parsers have exponential time and space complexity. By utilizing a lookup table for reduce steps in a GLR parser, Kipps [9] was able to limit the time complexity to $O(n^3)$, but this approach led to a less practical system. Nederhof and Satta [14] further improved the GLR parser through splitting a reduce step into more primitive operations that could remove

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redundancy in parsing. To deal with real-world natural language parsing, others [18, 12, 24] proposed ways to handle extra-grammatical cases for GLR parsers.

As reported in this paper, we have continued our work in grammar partition and parser composition [25] that explores advantages of different parsing algorithms. We have also investigated guidelines for grammar partitioning, the relationship between partitioning and state space selection, and practical ways for composing different parsing algorithms, in the context of robust parsing of Chinese and English queries from an ATIS corpus.

In Section 2, we briefly review some concepts of grammar partitioning, and discuss a few guidelines for the task and their relationship with state space selection for the parsers mentioned above. Section 3 presents an improved parser composition algorithm. Section 4 describes some initial but encouraging results on parsing Chinese and English queries. The final section presents our conclusion and describes our future research directions.

2 Grammar Partitioning

To facilitate our discussion, we first briefly review the motivation and concept for grammar partition [25]. Then, we give some intuitive guidelines for the partitioning and their relationship with state space selection for the parsers analyzed by [13].

2.1 Motivation and Concept

Earley [4] and Ukkonen [23] proved that the following artificial grammar $G_n$ is exponential for LR(k) parsers, and even for any right parsers, respectively:

$$
S \rightarrow A_i \quad (1 \leq i \leq n)
$$

$$
A_i \rightarrow a_j A_i \quad (1 \leq i \neq j \leq n)
$$

$$
A_i \rightarrow a_i B_i \mid b_i \quad (1 \leq i \leq n)
$$

$$
B_i \rightarrow a_j B_i \mid b_i \quad (1 \leq i \leq n)
$$

These results present a potentially severe problem for LR(k) parsers and their applications to natural language processing. However, as illustrated in [25], if we partition the grammar into $n$ subgrammars, parse each subgrammar separately, and combine subparsers for the subgrammars, we can obtain a satisfactory compromise in terms of speed and memory.

From a practical point of view, in addition to the possibility of causing an exponential number of compiled states, sublanguages in a large parser may be described by pre-existing subgrammars using specialized parsing algorithms. Implementation and maintenance constraints may prevent integration of the sublanguage modules into a monolithic system. A framework for partitioning grammars and composing parsers of different types would be useful for the scalability of a parsing system.

In the rest of this paper, we use the definitions in [25] for grammar partition. Intuitively, we partition the production set into subsets, and create subgrammars for the subsets, accordingly. The interaction among different subgrammars is through nonterminal sets, i.e., INPUT and OUTPUT, and a virtual terminal technique. The INPUT to a subgrammar is a set of nonterminals that were previously parsed by other subgrammars. The OUTPUT of a subgrammar is those nonterminals that were parsed based on this subgrammar and used by other subgrammars as their INPUT symbols. For every nonterminal $A$ in the INPUT set of a subgrammar, there
is an augmented rule $A \rightarrow vt_A$ for that grammar, where $vt_A$ is called a virtual terminal acting as if it were a terminal [10, 24, 25]. A directed calling graph for the subgrammar set of $G$ is defined as $(V, E)$, where $V$ is the subgrammar set and $E = \{(A, B)\}$, with the overlap of the OUTPUT of $B$ and the INPUT of $A$ being nonempty. It can be proved that the partitioned grammar will lead to the same recognizable language. It is straightforward to see that this grammar partition definition is more general than the one defined with respect to nonterminal symbol set [10].

2.2 Guidelines for Grammar Partitioning

Despite the fact that grammar partitioning is desirable, it is not clear how it should be done in any general case. We describe properties that may help in understanding this subject.

First, let us look at the two extreme cases: the coarsest and finest partitions. The coarsest partition is the grammar itself, and all the production rules are included in the set. The finest grammar partitioning is the set of all singletons with one exact grammar rule in each set. The INPUT/OUTPUT set members are the nonterminal symbols on the right-hand side/left-hand side (RHS/LHS) of the rules in these singletons. So, an inverse problem of grammar partitioning is the clustering of smaller subgrammars into bigger subgrammars based on calling relations among different subgrammars.

Intuitively, we may want to create clusters that have frequent interaction within cluster members, but fewer interactions between members of different clusters. This will reduce the possibility of combining common prefix computations for highly ambiguous grammars. However, it may increase the chance of computing a common prefix repetitively. Our criterion is to form as big a cluster as possible within an affordable size limit.

First we create a weighted graph describing the connections among different clusters. Its node set consists of all the clusters in the grammar. When no training data is available, its edge set and weights are obtained through the following procedure. For each pair of clusters, intersect one cluster's INPUT and the other cluster's OUTPUT, take the total size of the two symmetric intersections as the weight on the connecting edge, and create an edge between the two clusters only when the weight is above a certain threshold.

When training data is available, probability weights on the edges can be computed based on the actual calls between the corresponding clusters, in a way, related to the grammar chunking approach [16].

For better cluster quality, we present a set of simple heuristics for the refinement of grammar clusters. There are two types of refinements, merge to form bigger clusters, and split to form smaller clusters. The merge operations are:

1. Compute the transitive closures of the calling relations for clusters, and replace the original clusters with their closures.

2. If a cluster has an empty INPUT set, duplicate the cluster for each of its parent clusters, and merge the copies with its parents.

The split operations can be through removing the edges with low weights or the ones that lead to minimum changes with respect to its original graph using Kullback-Leibler distance.
If dotted rules are considered, the state space of the viable prefix recognizer NFA [1, 3] (VP-
NFA) is one extreme partition with each dotted rule as a state (or, a partitioned subgrammar).
In the VP-NFA, for each pair of states \( A \rightarrow \alpha X \beta \) and \( A \rightarrow \alpha X \beta \), there is a transition with
\( X \) as its label, and for each pair of states \( A \rightarrow \alpha X \beta \) and \( B \rightarrow \gamma \), there is a \( \varepsilon \)-transition. If
we collapse the end states of \( \varepsilon \) transitions in the VP-NFA with their corresponding start states
(if multiple \( \varepsilon \) transitions go to a state node, we duplicate it and its out-going transitions for
each state to be merged), we obtain the state space of Schabes’ algorithm. The resulting state
transition automaton is still nondeterministic with each state containing only one kernel dotted
rule. On the other hand, if we determinize the VP-NFA, we obtain another extreme partition,
i.e., the state transition automaton for GLR parsers. Two measurements can be used for the
state merge decisions. One is the maximum degree of nondeterminism for each state. In other
words, one can merge two out-going transitions with the same label and from the same state
to reduce the nondeterminism until the nondeterministic degree reaches a preset limit. The
other measure is the maximum length of common prefix paths. Notice that the common prefix
may contain nonterminals, therefore it is not simply the lookahead. If training data is available
for the state space, similarly, we can search for the two parameters empirically, and decide the
clusters. Our two measurements provide some details to the observation in [13] that allowing
different degrees of nondeterminism in the state transition graphs would lead to different time
and space complexity: Schabes’ algorithm allows a maximum degree of nondeterminism in the
state transition, while Tomita’s algorithm allows a minimum degree of nondeterminism.

3 Parsing with Multiple Grammars

Weng and Stolcke [25] presented a top-down style algorithm that combines several parsers with
partitioned subgrammars, with a restriction that the calling graph must not have left recursion,
a somewhat stronger constraint than Tomita’s original parser [15]. Here, we will present a
flexible parsing composition algorithm that does not have such restriction on the grammar.

The intuition behind this new algorithm is that each subparser with a subgrammar will try
to parse from the current input position and place its output nonterminal (virtual terminal)
onto the same lattice, if successful. A subparser is invoked by a caller subparser only when
certain predictive pruning conditions are satisfied to avoid excessive parser invoking. The
representation used for interfacing different parsers is a special chart or lattice. The nodes
of the lattice are spatial positions, and its transitions represent terminals/virtual terminals
that cover positions indicated by their corresponding start and end nodes. Usually, a terminal
covers one position, while a virtual terminal can cover multiple positions. During parsing, both
terminals and virtual terminals are represented in the same lattice, but, partial constituents and
nonterminals that are not the output of any subgrammar cannot be placed there. This implies
that only the granularity represented by subgrammars is present in the lattice, and therefore,
is termed as a lattice with multiple granularity (LMG). In addition, this representation gives
us a good control over the lattice density for parsing. These features differentiate LMG from
the traditional chart used in other parsing algorithms [8, 2, 17, 27].

Dealing with word lattice input for a single GLR parser was solved by Tomita [22]. Two
steps in Tomita’s algorithm are different from the standard GLR parsing algorithm: the lattice is
topologically sorted for synchronization; for shift action, an additional procedure tests whether
the current word \textit{word}_i is adjacent to any word on the top of the graph-structured stack. This same idea can be used for the Earley parser, left-corner parser, and shift-reduce parser. That is, instead of moving from \textit{i} to \textit{i} + 1, the new algorithm will look for the next adjacent symbol to the current node in the lattice. However, direct application of this idea would force topological sorting to be performed each time a virtual terminal is added to the lattice. In the new composition algorithm, we use a stack to store the initially sorted lattice input, and dynamically add newly found virtual terminals to the stack in such a way that the topological order is always preserved for the changing LMG. By doing this, we avoid performing a constant topological sorting required by the simplistic approach.

In the original definition [25], we duplicated multiple subgrammars for a partition element with multiple output nonterminals. However, it is not necessary to make such duplication for the purpose of parsing because we can easily overcome the difficulty in handling multiple output symbols. To do so, we let \( \{O_j^1\}_{j=1}^\infty \) be the output of a partition element \( G_i \). If we add rule set \( \{S_i \rightarrow O_j^1\}_{j=1}^\infty \) to \( G_i \), use \( S_i \) as its start symbol for partition element \( G_i \), and label the output node in the lattice with corresponding \( O_j^1 \) during parsing, the correctness of derivation is still guaranteed. In the rest of this paper, without loss of generality, we can safely adopt the more general definition.

We have developed a new composition algorithm for parsers with different subgrammars, given a word lattice as its input. Without loss of generality, we use GLR parsers. Other parsers, such as Earley’s parser or the shift-reduce parser, can be used in combination.

Let the word lattice be \( L = (N, E) \), where \( N \) is a node set, indicating spatial positions, and \( E \) is a set of directed transitions, indicating the ranges the (virtual) terminals cover. Functions \textit{start}(\textit{dt}), \textit{end}(\textit{dt}), and \textit{word}(\textit{dt}) return the start, the end, and the word label of directed transition \( \textit{dt} \), respectively. Let \( \sigma \) be the stack that stores the topologically sorted transition sequence from \( L \).

Suppose that \( \text{psr}_i \) is the parser for subgrammar \( G_i \), \( \text{psr}_0 \) is the parser for the top grammar \( G_0 \), and the largest subgrammar index is \( K \). Each \( \text{psr}_i \) takes a (virtual) terminal stack \( \sigma \) as input (call by value), and returns a list of pairs with form \((\text{\textit{v}}, \text{\textit{d}})\), where \( \text{\textit{d}} \) is the end node for virtual terminal \( \text{\textit{v}} \) of subgrammar \( G_i \) if parsed successfully. If no parse is found, it returns \( \emptyset \).

**Parser Composition Algorithm:** This algorithm replaces \text{PARSE()} and \text{PARSEWORD()} in Farshi’s version of Tomita’s recognition algorithm [15]. In this algorithm, \text{ACTOR}(A, Q, w), \text{COMPLETER}(R, \Gamma), \text{and} \text{SHIFTER}(Q, \Gamma) \text{ are similar to that version, with a few minor changes:} \text{w, the to-be-processed word, replaces} a_{i+1} \text{ as the next word for processing in ACTOR; } U_j, \text{ the state set at node } j \text{ in } L, \text{ replaces } U_{i+1} \text{ as a state set next to } U_i \text{ when } w \text{ corresponds to the transition from } U_i \text{ to } U_j \text{. } U_i \text{'s and } L \text{ are shared by all the parsers. However, graph-structured stack } \Gamma \text{ and shared-packed forest are private to each parser.} \text{ SP is a list of triples } (\text{\textit{pid}}, \text{\textit{dt}}, \sigma), \text{ where } \text{\textit{pid}} \text{ is a parser id, } \text{\textit{dt}} \text{ is the transition being processed, and } \sigma \text{ is the sorted transition stack.} \text{ SP records all the parsers started at a particular location in } L \text{ to avoid infinite recursion.}

1. Topologically sort \( L \) into \( dt_0, ..., dt_l \), and push all the transitions onto stack \( \sigma \) in the reverse order\(^1\).

2. \( \Gamma = \emptyset \) (initializing graph-structured stack).

\(^1\text{Notice that the resulting stack } \sigma \text{ has } l + 1 \text{ element with } w_0 \text{ on the top of } \sigma.\)
3. Create in $\Gamma$ a vertex $v_0$ labeled with state id $s_0$, $U_0 = \{v_0\}$.

4. $SP = \emptyset$ (initializing the started parser list).

5. $dt = pop(\sigma)$, $SP = \{(0, dt, \sigma)\}$, $psr_0(dt, \sigma)$.

**Parser** $psr_m(dt, \sigma)$, $m = 0, \ldots, K$:

1. Loop until $dt$ is null do
   (a) $i = start(dt)$, $j = end(dt)$, $w = word(dt)$.
   (b) $A = U_i$; $R, Q = \emptyset$.
   (c) repeat
      i. if $A \neq \emptyset$ then do $ACTOR(A, Q, w)$.
      ii. else if $R \neq \emptyset$ then do $COMPLETER(R, \Gamma)$.
      until $A = R = \emptyset$ (done with reductions).
   (d) $PREDICTIVE-SUB-PARSING(dt, \sigma)$.
   (e) $SHIFTER(Q, \Gamma)$.
   (f) $dt = pop(\sigma)$.

**Predictive Sub-parser:** The parameters for procedure $PREDICTIVE-SUB-PARSING$ are call-by-name. In the procedure, $OUTPUT_k$ is the OUTPUT set of subgrammar $G_k$, and $PVT(U_i, w)$ is a function that takes a set of states and a (virtual) terminal, and returns a set of legitimate virtual terminals to be parsed at that point.

$PREDICTIVE-SUB-PARSING(dt, \sigma)$:

1. $flag = true$.

2. while $flag$ do
   (a) $flag = false$.
   (b) $i = start(dt)$, $j = end(dt)$, $w = word(dt)$.
   (c) For $k = 1 \to K$ do
      if $OUTPUT_k \cap PVT(U_i, w) \neq \emptyset$ and $(k, dt, \sigma) \notin SP$ then do
         i. $SP = (k, dt, \sigma) \cup SP$.
         ii. $lut = psr_k(dt, \sigma)$.
         iii. For $(m, d) \in lut$, $m \in PVT(U_i, w)$ and $m$ is not in $L$ to cover from $i$ to $d$ then\(^2\)
            A. add $m$ to $L$: create a transition $mdt$ with label $m$ that connects from node $i$ to node $d$.
            B. push $mdt$ onto stack $\sigma$.
            C. $flag = true$.

\(^2\)For getting all the possible parse trees, somewhat more complicated test needs to be made, that is, to see whether the top level structures (rules) have already been built.
Notice that function PREDICTIVE-SUB-PARSING only adds virtual terminals to the stack and lattice, and these virtual terminals have the same start node as the transition being processed. Therefore, the updated stack still maintains the topological order for the updated lattice. This leads to a straightforward correctness proof of the algorithm.

In PREDICTIVE-SUB-PARSING, function \( PVT(U_i, w) \), serving as a subparser filter, has not been defined. The occurrence of \( PVT(U_i, w) \) in the algorithm is not essential for its correctness. However, without \( PVT \) it would start multiple parsers at every node in the lattice, that is, a big efficiency concern. Our technique for addressing this problem resembles predictive calling of subparsers in the strict top-down composition algorithm [25], or \( FIRST \) in the conventional parsing table generator.

Let \( VT(i) = \{ vt | i \text{ is a state, } vt \text{ is a virtual terminal, } \exists s, \text{ step } s \in ACTION(i, vt) \} \). The predictive set of virtual terminals for a given state \( i \) and a (virtual) terminal \( w \) is defined as \( PVT(i, w) = \{ vt | vt \in VT(i), w \text{ is a (virtual) terminal, } VT(i), vt \Rightarrow w \ldots \} \). To overload the notation a little bit, we define the predictive set of virtual terminals for a set of given states \( Q \) and a (virtual) terminal \( w \) as: \( PVT(Q, w) = \bigcup_{i \in Q} PVT(i, w) \). The algorithm to realize the definition is straightforward, and therefore omitted.

Intuitively, for any state in \( U_i \), if there is a \( shift \) \( s \) step under a virtual terminal for that state in the ACTION table of the caller parser, we add the virtual terminal to \( PVT(U_i, w) \). Those virtual terminals that do not have \( w \) as their left corner can be pruned.

For other types of parsers, we can also compute a set of virtual terminals, given a nonterminal (or a set of nonterminals) and a left corner, similar to the way \( PVT \) or \( FIRST \) is computed. Thus, we can avoid invoking subparsers excessively.

In addition to predictive pruning, parallelization is an approach to the efficiency problem. Notice that all legitimate subparsers in \( PVT \) for a particular transition in the lattice can be parallelized without affecting other parts of the algorithm.

To address both parsing accuracy and efficiency simultaneously, we can incorporate probabilistic models into lattice. Estimation of ngram word transition models is standard. In our lattice framework, head words can be passed to virtual terminals for more detailed probabilistic estimation to better capture certain long distance dependency without lexicalizing the grammar. The latter approach leads to a huge grammar in any practical system [6]. However, a potential sparse data problem for the introduction of lexicalized virtual terminals can be partially addressed by the relatively easy-to-control granularity of grammar partitioning.

To address the robustness for real-world applications, the techniques used in the EGLR parser [24] can be adapted in the lattice framework, because, in the EGLR parser, the three editing operations (insertion, deletion, and substitution) can be applied to both terminals and virtual terminals. Modifying input is equivalent to adding transitions in the lattice [11, 26]. The only additional issue is that the cost function for the optimal path selection may not be a uniform unit cost, but should be associated with the number of words changed when virtual terminals are in the editing operations.

## 4 Experiments

Ideally, we want to test grammar partitioning and parser composition in its full scale. However, before the full implementation of the algorithms described above, we took a shortcut to evaluate
the feasibility in a real-world natural language application. We describe a concrete partition
of Chinese and English grammars in an ATIS domain, and a robust cascading parsing and
composition. We then report the parsing and understanding results for the ATIS domain.

4.1 Cascading Parsing for the ATIS Grammars

English ATIS tasks contain queries regarding air travel information, including flights leaving
from or arriving at locations at various dates and times, services of certain flights, and airline
routes. The Chinese queries used in the experiments are translated from an English ATIS
corpus.

Based on the guidelines for grammar partitioning, we manually partitioned the rule set into
subgrammars, such as STATE-NAMES, CITY-NAMES, AIRPORT-CODE, with corresponding
virtual terminals prefixed with \text{vt}. In this particular case, the calling graphs of the subgrammars
are acyclic and, therefore, they can be assigned with level indices (ids). Their corresponding
subparsers are GLR parsers, compiled separately, and assigned with the same ids. The top-
level sentence subgrammar is not yet completed and deployed, because of the flexible word order
problem in Chinese and many variations of sentence structures in English. However, the LMG
representation allows a robust parser to compose all the legal sequences of virtual terminals
and choose the best path that covers the most words in the input string.

The whole parsing process proceeds as follows. The control mechanism takes a query sen-
tence and converts it into an LMG. Then, the subparsers at the lowest level are activated to
parse the LMG, and leave their corresponding virtual terminals on the LMG when parsing
succeeds. If no more virtual terminals can be added to the LMG, the subparsers at one level
higher are activated and start to parse the same LMG.

This process continues until the highest
level is reached, when the robust sentence-level parser finishes its job of determining the best
virtual terminal sequence. For the semantic evaluation described in subsection 4.2, a semantic
interpreter converts syntactic virtual terminals into semantic frames of key-value pairs.

The main difference between the parsing composition algorithm described in Section 3 and
the one used here is the adoption of a viterbi-style robust master parser instead of a GLR
parser. This gives us a flexible way to deal with extra-grammatical queries even without any
sentence-level grammar rules. As a consequence, it also derives a preliminary set of sentence-
level grammar rules for future refinements as we will see in Section 4.2. On the other hand,
when both predictive pruning and robust handling are integrated and tuned in a GLR parser,
it can replace the current one without affecting the other components, which is the desired
feature of the approach described in this paper.

4.2 Experimental Results

Our experiments use the English ATIS-3 corpus and its translated Chinese version, specifically
the Class A queries. It contains 1564 queries from the training set, 448 queries from the 1993
test set and 444 queries from the 1994 test set. Each utterance is labeled with a corresponding
SQL query for information retrieval.

\footnote{When there is a recursion at the same level of the calling graph, we can repetitively activate the subparsers
at that level until no more virtual terminals can be added to the LMG, which corresponds to the 'while flag
loop' in Predictive sub-parser algorithm.}
For the Chinese experiment, the non-sentence level grammar rules used for parsing were developed based on 375 queries from the MIT subset of the training set, and the remaining 1189 queries of the training set were held for tuning. When parse errors occur in any of the held-out sentences, we modify the grammar rules to incorporate the changes. Evaluations were conducted on 1993 and 1994 test sets. Table 1 shows the general statistics of the hand-crafted grammar. As we can see from the table, the majority of the rules (825 out of 1013) are directly related to the lexicon, and only about 178 rules are related to phrase structures.

Applying the parsing algorithm described in Section 4.1 and the above grammar on the training set and the two test sets, we obtained the results shown in Table 2, where the error rates are measured against the Chinese translation of the standard semantic key-value pairs supplied in the ATIS-3 corpus by Linguistic Data Consortium. Full understanding refers to utterances with full matches between the semantic categories in our frame and those in the standard answer with no error. Part. understanding refers to partial matches with an error rate between zero and one. No understanding refers to no matches.

In addition to the incomplete grammar coverage, parsing errors can have sources in translation errors or implicit information. The former are mainly caused by wrong or imprecise translation from English to Chinese. The latter are due to a discrepancy in the semantic meaning translation between the standard answers and our semantic interpreter. For example, tonight has semantic meaning of time \( \geq 1800 \& time \leq 2359 \), while our interpreter has only a symbolic value. We are developing a correction for this discrepancy.

We also summarized the parsing statistics in Table 3. From the table, we observe that the speed of our parser is very fast for this application. In addition, the number of rules reduced and states visited in the best paths and in the successful sub-parses are less than those in the overall parsing process, which means that further pruning is possible.

Because the current master parser does not use explicit sentence-level grammar rules, we do not have direct parsing table size comparison between partitioned and unpartitioned grammars. However, as an approximation, we can take as the sentence level rules those best paths from all the training data that occur more than once. In the Chinese experiment, we obtained 205 such rules, in addition to the original 1,013 lower level rules. For the unpartitioned grammar, the total number of GLR states is 10,395, while for the partitioned grammars, the total number of GLR states is only 2,825, out of which 852 states are used by the sentence-level subgrammar.

To speed up the English experiment, we constructed English lower level rules based on the Chinese rules and repeated the same processes for parsing and for obtaining English sentence level rules as we did for Chinese. English parsing results are listed next to its Chinese counterpart in Tables 1 to 3. There are additional 198 sentence level English rules. For the unpartitioned grammar, the total number of GLR states is 10,233, while for the partitioned grammars, the total number of GLR states is only 2,128, out of which 671 states are used by the sentence-level subgrammar. Both Chinese and English experiments show that, at least in the ATIS domain, grammar partitioning leads to the desirable effect of reducing parser sizes.

5 Conclusions and Future Work

We have presented guidelines for grammar partitioning through a set of heuristics, and proposed a new mix strategy parser composition algorithm based on a flexible LMG representation,
so that we can alleviate size, speed, and robustness problems in real-world natural language applications. We also reported our initial but encouraging parsing results in the ATIS domain. We plan to further integrate the predictive robust parsing algorithm [24] into the current system, and to use probabilistic modeling for better pruning and selecting of correct parses. To alleviate the current grammar writing bottleneck in our parsing experiments, we will also work with semi-automatically induced grammars [20].

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| Types of rules            | sizes | Remarks                                      |
|--------------------------|-------|----------------------------------------------|
| non-top-level rules      | 1013  | 953 all the rules in the grammar            |
| lexical rules            | 825   | 773 rules deriving lexical entries          |
| nonterminals             | 77    | 81 all the nonterminals                    |
| virtual terminals        | 50    | 52 all the virtual terminals                |
| terminals                | 419   | 473 all the words                          |

Table 1: Grammar rule statistics.

|                         | Chinese | English | Chinese | English | Chinese | English |
|-------------------------|---------|---------|---------|---------|---------|---------|
| Training set            |         |         |         |         |         |         |
| 1564 queries            |         |         |         |         |         |         |
| Ave. sent. length       | 19.33   | 11.24   | 16.63   | 10.26   | 20.17   | 11.46   |
| (# of chars/words)      |         |         |         |         |         |         |
| Ave. error rate (%)     | 7.94    | 7.30    | 11.22   | 9.69    | 13.61   | 12.40   |
| Full understanding (%)  | 80.56   | 83.95   | 77.90   | 87.05   | 70.95   | 76.35   |
| Part. understanding (%) | 17.26   | 14.13   | 17.41   | 10.49   | 23.87   | 21.40   |
| No understanding (%)    | 2.17    | 1.92    | 4.69    | 2.46    | 5.18    | 2.25    |

Table 2: Error rate and accuracy statistics.

|                         | Chinese | English | Chinese | English | Chinese | English |
|-------------------------|---------|---------|---------|---------|---------|---------|
| Training set            |         |         |         |         |         |         |
| 1564 queries            |         |         |         |         |         |         |
| Total time for entire set (in seconds, Ultra sparc 5) | 21      | 14      | 5       | 4       | 7       | 5       |
| Ave. no. of states visited incl. failed subparsers | 64.9    | 36.6    | 53.3    | 33.3    | 68.5    | 38.8    |
| Ave. no. of rules reduced incl. failed subparsers | 13.4    | 14.6    | 11.3    | 13.2    | 13.7    | 15.0    |
| Ave. no. of states visited, only successful subparsers | 39.0    | 30.2    | 31.3    | 27.0    | 40.1    | 31.1    |
| Ave. no. of rules reduced, only successful subparsers | 12.7    | 13.9    | 10.4    | 12.5    | 12.9    | 14.3    |
| Ave. no. of states visited in the best paths | 30.7    | 24.1    | 26.0    | 21.6    | 31.1    | 24.7    |
| Ave. no. of rules reduced in the best paths | 9.5     | 11.0    | 8.2     | 9.9     | 9.5     | 11.1    |

Table 3: Statistics of the grammar used for the experiments.