GIS-based Tests for Quality Control of Meteorological Data and Spatial Interpolation of Climate Data

A Case Study in Mountainous Taiwan

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Constructing climate layers is more difficult and important in mountainous areas as a result of sparse meteorological stations and complex topography. This requires a 2-stage process: quality control of meteorological data and spatial interpolation of climate data. For this article, unscreened metadata and observed data were collected from all stations in Taiwan for the period 1961–2002. A quality-control procedure based on a geographic information system (GIS) allowed us to reject 13.5% of stations because of missing or erroneous metadata and filter out 8.3% of the observed data because of extreme errors or unreasonable temporal sequence and spatial patterns. After applying the quality-control procedure, the monthly mean temperature and total monthly precipitation were calculated as spatial interpolation sampling points. We evaluated the performance of 6 kriging-based spatial interpolation methods with regard to their errors by cross-validation. For interpolating the monthly mean temperature, the strong relation between temperature and elevation led us to favor modified residual kriging. For interpolating the total monthly precipitation, log-transformed kriging was chosen for practical reasons (steadier and simpler). We compared our product layers with pre-existing climate layers. The overall spatial patterns of these layers were similar, except for certain extremes in the mountains. Consequently, the GIS-based approaches presented here could help in rapid construction of adequate climate layers for regions with unconfirmed data.

Keywords: Quality control (QC); spatial interpolation (SI); geographic information system (GIS); kriging; climate data; Taiwan.

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Introduction

Climate is one of the most important environmental factors in terrestrial ecosystems (eg Tuukkanen 1980; Walter 1985). Many environmental and ecological models require spatially continuous climate data, usually in the form of interpolated grids (eg Franklin 1995; Guisan and Zimmermann 2000). To construct a spatial climate layer, two critical issues must be considered: quality control (QC) of meteorological data and spatial interpolation (SI) of climate data.

The QC of meteorological data has to be undertaken prior to any data analysis to eliminate erroneous values (Štěpánek et al 2009); it is an essential prerequisite for the SI of climate data. It is well known that some datasets recorded in meteorological stations may contain errors as a result of typing, transmitting, coding, and even missing data (eg Meek and Hatfield 1994). One must pay attention to the correctness of station metadata (coordinates, elevation, etc) as well as to the quality of meteorological observed data (air temperature, precipitation, etc). The incorrectness of station metadata and observed data is a significant problem in Taiwan as well as elsewhere (eg Peterson et al 1998).

It is necessary to explore which SI method is the most appropriate in each situation as no single one is optimal for all regions and data (Price et al 2000). Many SI methods such as distance-weighting algorithms, geostatistics, splines, and multivariate analysis have been rapidly developed because of the advancement of computer software and hardware (eg Boer et al 2001; Marquinez et al 2003). The geostatistical method known generically as kriging is a common approach because it takes into account spatial relations between the experimental data (ie sample points) and quantifies the uncertainty of the model (Martinez-Cob 1996; Moral 2009).

In the last few decades, numerous attempts have been made to construct spatial climate layers (Stahl et al 2006).
The topic is more difficult and challenging in mountainous areas because of sparse stations and complex topography (e.g., Benavides et al. 2007; Guan et al. 2009). The climate layers produced are relevant in mountain environments to assess impacts of climate change on the distribution and diversity of species (e.g., Thuiller 2008; Ashiq et al. 2009).

Recently, the QC and SI of meteorological and climate elements have often been linked to a geographic information system (GIS) (e.g., Ashiq et al. 2009; Guler et al. 2009; Stépánek et al. 2009). This article discusses the construction of a high-resolution climate grid for mountainous Taiwan, with 2 specific goals. The first was to test the QC procedure for meteorological data, and the second was to test the SI technique through GIS-based approaches working with a digital elevation model (DEM). The performance of this combined approach was then evaluated and discussed using Taiwanese meteorological data.

Material and methods
Study area and data collection
Taiwan is a mountainous island at the fringe of East Asia’s continental shelf, covering about 36,000 km² and with a complex topography ranging from 0–3952 m, with only 31.3% of its area below 100 m. The Taiwanese climate is controlled mainly by orographic relief and by an alternation between the summer southwest monsoon and the winter northeast monsoon (Su 1984a). Previous studies (e.g., Su 1984b, 1985) have been based on individual analysis of climate stations and empirical inference.

This article is based on 2 raw datasets describing all the meteorological stations in Taiwan: (1) the metadata, including each station’s code, name, coordinates, elevation, and address and (2) the observed data, including daily mean temperature (Td) and total precipitation (Pd). Raw metadata and observed data were collected from a total of 1728 stations: 33 permanent specialized stations (SPs), 362 unmanned remote stations (REs) managed by the Central Weather Bureau, and 1333 unspecialized cooperator stations (COs). These data were archived in a Central Weather Bureau database over a 42-year period (1961–2002); the total number of Td and Pd records was thus 13,051,457. Generally speaking, only SPs were considered to provide very high-quality data. We also made use of a digital township map and a 40-m resolution DEM. The coordinates of all layers are transformed by ArcGIS to the 2° zone Transverse Mercator projection with TWD67 datum generally used in Taiwan.

Methods
Quality control (QC) of meteorological data
First we looked for stations with doubtful metadata and unreasonable observed data. A summary of the QC procedure for meteorological data is shown in Figure 1 and is described in detail here:

Stations with doubtful metadata
1. Incomplete metadata: They could not be used in the subsequent climate SI procedure.
2. Different station codes with identical coordinates: One of them was transferred to another organization at some point in the past. Both their metadata and observed data were merged.
3. Checking the correctness of station coordinates: If the coordinate point lay more than 3 km (value based on experience) outside the township of its address in the metadata, the coordinate was considered to be erroneous. Consequently, such stations were deleted.
4. Checking the correctness of station elevations: If a station’s coordinate was confirmed, its elevation in the metadata was compared with its altitude in the DEM. If the difference was greater than 200 m (value based on experience), the elevation was considered to be erroneous. Consequently, such stations were deleted.

Unreasonable observed data
1. Extreme errors: (a) All Td records below −15°C or above 36°C were filtered out because all the historical Td records from reliable SPs range from −12–33°C.
(b) Any Pd records below 0 mm (not including 0 mm) or above 2000 mm were filtered out because the historical Pd records from SPs indicated a maximum value of 1135 mm.

2. Unreasonable temporal sequence of observed data: Any record that reported an identical observed value over 3 consecutive days was filtered out, except for sequences in which Pd was equal to 0 mm. This criterion is denoted as “continuous no-observed-change with time limits” (NOC) by Meek and Hatfield (1994).

3. Unreasonable spatial pattern of observed data: (a) Td values of each station were compared with the average Td of the 5 vertically nearest stations within 1000 m of vertical and 70 km of horizontal distance. If the difference was more than 7 °C, the Td record was considered unreasonable and was deleted. (b) Pd values of each station were compared with the average Pd of the 5 horizontally nearest stations within a vertical range of 300 m. If the difference was more than 300 mm, the Pd record was considered unreasonable and was deleted. This criterion is referred to as the “upper/lower limits” (ULL) on the spatial variation of meteorological data.

**Spatial interpolation of climate data**

We summarize 4 issues from the climate spatial interpolation (SI) procedure that we followed.

**Selecting climate data**

In the present work, we analyzed only 2 climate parameters: monthly mean temperature (Tm) and total monthly precipitation (Pm). Tm and Pm were calculated for all stations that passed the QC procedure. In the SI procedure for climate data, Tm and Pm were the dependent variables; for each station’s elevation, X and Y coordinates (abbreviated as E, X, and Y, respectively; units in m) were the independent variables.

**SI methods**

Geostatistical method or kriging has several advantages and is widely used in climate mapping (Benavides et al 2007; Moral 2009). This article examines 6 variants of the ordinary kriging technique: ordinary kriging (OK), detrended kriging (detOK), anisotropic kriging (aniOK), cokriging (COK), modified residual kriging (resOK), and log-transformed kriging (logOK). The expediency of these methods is dependent on the characteristics of environment and data (eg Price et al 2000). When the correlation between environment and data is strong, for example between elevation and temperature, resOK could be a better method (Stahl 2006). Readers interested in a comprehensive description of these methods can refer to the literature (eg Goovaerts 1997). The 6 kriging variants in this paper were implemented using the ArcGIS 8.1 Spatial Analyst extension and Geostatistical Analyst extension (Johnston et al 2001) and SPSS 11.0 statistical software.

**Assessing prediction error**

The most common method for assessing prediction errors of different SI methods is leave-one-out cross-validation (eg Benavides et al 2007), using a single observed data element from the original dataset as the validating data and the remaining observed data as the training data, until each observed data element has been used once as the validating data. The deviations were summarized here by root-mean-square error (RMSE); other prediction error indices were considered. For a detailed presentation on predictive assessments, interested readers should again refer to textbooks (eg Goovaerts 1997).

**Results**

**QC of meteorological data**

**QC of metadata**

The first QC step, checking on incomplete metadata, found 71 COs that lacked coordinates or elevation. The second QC step, finding different station codes with identical coordinates, found 176 COs. The metadata and observed data for these duplicate stations were merged. In the third QC step, a few erroneous COs were found when checking the correctness of station coordinates. When the elevation of metadata was checked in the fourth QC step, we found many doubtful COs and several doubtful Rs. Ignoring the merged duplicate stations, we distinguished 233 COs (13.5% of all) with doubtful metadata in the QC procedure. By contrast, all SPs and Rs administered by the professional Central Weather Bureau passed the metadata QC procedure.

**QC of observed data**

For the first step, the QC rule for screening out extreme errors allowed us to detect instrument malfunction codes (eg –9999.5) as well as any Td and Pd that lay far outside the historical range observed by SPs, such as 50.1 °C at station R2F340 on 1985/01/30. The continuous NOC records found in the NOC step, such as 888.0 mm at station F2N480 on 26–28 March 1986, were filtered out. Station C0T870 recorded 1702.6 mm on 31 May 1995. This case failed in the ULL step. Most of the records filtered out by the ULL step contained more than 400 mm of precipitation. A total of 1,084,252 records (8.3% of all observed data) were rejected in the QC procedure. Most of the records belonged to COs and some belonged to Rs, but none belonged to SPs. Filtering out these doubtful data allowed us to raise the accuracy of Tm and Pm as well as the interpolation of these parameters.

**SI of climate data**

**Selection of climate variables**

After assuring the quality of raw meteorological data, Tm and Pm were calculated using long-term daily observed data, from stations with a minimum length of at least 7 years and 12 years, respectively. The 219 selected long-
term temperature stations and 877 precipitation stations, shown in Figure 2, were strongly biased toward the lowlands (see statistics at the bottom right corner of Figure 2). Only 41 temperature stations (18.7% of all) and 117 precipitation stations (13.3% of all) were located above 500 m in mountainous area. The summary statistics of Tm and Pm are presented in Tables 1 and 2, respectively.

**Interpolating temperature layers**

Here we applied 6 different kriging methods to interpolate Tm layers. Each method, except for OK, used elevation as an additional independent variable because of the noticeable relation between temperature and elevation (Rolland 2003; see Table 1). The temperature lapse rate was 4.28–6.14°C per 1000 meters for different months and regions in Taiwan. Figure 3A tracked the RMSE of each method for 12 months. The minimum prediction error was obtained by resOK.

The adjusted coefficients of determination (adj. $R^2$) for the relation of Tm (abbreviated T1–T12 for January to December) with predictors E, X, and Y ranged from 0.013 (T8 with Y) to 0.963 (T6 with E, X, and Y). We selected the variables by stepwise backward elimination to determine

**TABLE 1** Summary statistics of monthly mean temperature (Tm, such as T1 for January, units in °C). Min: minimum; Max: maximum; SD: standard deviation; $r$: correlation coefficient between Tm and elevation.

|     | Min  | Max  | Mean | SD  | Skewness | $r$  |
|-----|------|------|------|-----|----------|------|
| T1  | -1.29| 20.07| 15.17| 3.18| -2.22    | -0.90|
| T4  | 3.35 | 25.92| 21.41| 3.37| -2.20    | -0.91|
| T7  | 7.68 | 30.46| 26.65| 3.50| -2.71    | -0.98|
| T10 | 6.06 | 27.31| 22.96| 3.36| -2.29    | -0.94|
the best multilinear regression formula (Table 3), such as
\[
T_1 = 57.398 - 0.00461E + 0.00001038X - 0.0000163Y \quad (a d j. R^2 \text{ of 0.938}).
\]
The resOK seemed to be the best formula for every Tm, explaining a significant amount of variation \((P < 0.01)\). Thus, T1–T12 were interpolated by resOK and

**FIGURE 3** Root-mean-square error (RMSE) of Tm (A) and Pm (B) interpolation assessed by cross-validation for six methods (OK: ordinary kriging; detOK: detrended kriging; aniOK: anisotropic kriging; COK: co-kriging; resOK: modified residual kriging; logOK: log-transformed kriging).

**TABLE 2** Summary statistics of total monthly precipitation (Pm, such as P1 for January, units in mm). Log-P: log-transformed values of Pm; Min: minimum; Max: maximum; SD: standard deviation; \(r\): correlation coefficient between Pm and elevation.

|     | Min | Max  | Mean  | SD    | Skewness | \(r\) |
|-----|-----|------|-------|-------|----------|------|
| P1  | 9.56| 486.65| 48.39 | 51.75 | 3.38     | 0.28 |
| P4  | 32.67| 412.67| 112.84| 51.40 | 1.46     | 0.51 |
| P7  | 80.33| 694.04| 293.07| 111.43| 0.74     | 0.15 |
| P10 | 7.75 | 968.35| 104.59| 148.29| 2.52     | 0.19 |
| Log-P1 | 0.98 | 2.69  | 1.54  | 0.32  | 0.90     | 0.41 |
| Log-P4 | 1.51 | 2.62  | 2.01  | 0.18  | 0.31     | 0.45 |
| Log-P7 | 1.90 | 2.84  | 2.44  | 0.17  | -0.22    | 0.16 |
| Log-P10 | 0.89 | 2.99  | 1.71  | 0.49  | 0.60     | 0.34 |

displayed through ArcGIS, as Figure 4 shows for T1 and T7. It was clear that the mean temperature varies principally with E, but there were slight variations with X and Y, except for July and August temperatures (see Table 3). According to SI results, temperatures in January ranged from −1.2–20.2°C (Figure 4A) and in July from 6.7–29.3°C (Figure 4B). The mean annual temperature was found to range from 4.0–25.0°C.

**Interpolating precipitation layers**

Table 2 reveals that the distribution of Pm values for the 877 stations were right-skewed (Kolmogorov-Smirnov normality test, \(P < 0.01\)). This might hinder the interpolative accuracy. For this reason, Pm values were decimal-log-transformed to more closely approximate a normal distribution (see Table 2) and were also interpolated using the logOK method. The RMSE of Pm interpolation assessed by cross-validation for 6 methods is shown in Figure 3B, but no statistical difference was found between the different interpolations \((P < 0.05)\). Here we used logOK to interpolate Pm layers not only because log-transformed normalized data can raise the predictive accuracy (Phillips et al 1992; Martinez-Cob 1996; Price et al 2000) but also for practical reasons. This option is discussed in the Discussion section below.

January to December precipitation (abbreviated as P1 to P12) layers were interpolated by logOK and laid out through ArcGIS. The value of P1 ranged from 10–486 mm, for example, while the value of P7 ranged from 103–573 mm. During the summer half-year (April to September), precipitation ranged from 854–2979 mm (Figure 5A) and was concentrated on the slopes windward of the southwest monsoon. In the Taiwan region, frequent typhoon events in the summer half-year affect most precipitation (Su 1984a). During the winter half-year (October to March), precipitation was found to range from 99–3138 mm (Figure 5B) and to be concentrated in
FIGURE 4  Climate grid layers interpolated using resOK for the following: (A) January temperature; (B) July temperature. Note that different color scales have been used for the 2 layers.

![Figure 4: Climate grid layers](image)

TABLE 3  Formulas for linear regression of Tm (Tm are dependent variables; E, X, and Y are predictive variables). X and Y were transformed into 2-degree Transverse Mercator projection with TWD67 datum; their range in Taiwan: 149,000 < X < 351,000; 2,422,000 < Y < 2,800,000 (see Figure 2A).

| Tm | Formulas for linear regression | Adj. $R^2$ |
|----|--------------------------------|------------|
| T1 | $57.398 - 0.00461E + 0.00001038X - 0.0000163Y$ | 0.938      |
| T2 | $64.407 - 0.00444E + 0.000008993X - 0.0000186Y$ | 0.944      |
| T3 | $66.225 - 0.00436E + 0.00000571X - 0.0000181Y$ | 0.941      |
| T4 | $56.226 - 0.00472E - 0.0000044X - 0.0000122Y$ | 0.956      |
| T5 | $46.342 - 0.00511E - 0.00000863X - 0.00000705Y$ | 0.961      |
| T6 | $34.397 - 0.00541E - 0.0000047X - 0.00000215Y$ | 0.963      |
| T7 | $28.622 - 0.00568E$ | 0.958      |
| T8 | $28.288 - 0.00565E$ | 0.959      |
| T9 | $32.747 - 0.00535E - 0.00000767X - 0.0000015Y$ | 0.959      |
| T10| $44.389 - 0.00498E - 0.00000567X - 0.00000694Y$ | 0.948      |
| T11| $49.22 - 0.00476E - 0.0000015X - 0.0000103Y$ | 0.945      |
| T12| $52.256 - 0.00469E + 0.000005803X - 0.0000133Y$ | 0.940      |
the region affected by prevalent northeast monsoon rains. The overall precipitation pattern was found to be markedly affected by Taiwanese topography and the alternating monsoons.

Discussion

QC of meteorological data

In the raw database, many COs (13.5% of all) were found to have doubtful metadata. Besides, 8.3% of all observed data—the majority belonging to amateur COs—were rejected by our QC procedure. The criterion of the NOC step is based on the concept of the time series recommended by Meek and Hatfield (1994). It is true that many unreasonable continuous values exist in the observed database and were found by our NOC criterion, but the time limit of NOC may be worth discussing further. Conversely, the criterion of the ULL step is based on the concept of the spatial relation of meteorological conditions. This idea was generated mainly by the regional meteorological signal (Rhoades and Salinger 1993; Štěpánek et al. 2009). The rule is subjective. Because it is possible that these filtered out data are actual values (González-Rouco et al. 2001), we increased the tolerance of the ULL step (ie by allowing more distant neighbors and increasing the possible difference). The rule of ULL should be improved in future work by rethinking the mechanism and scale of precipitation (Daly 2006) and the lapse rate of temperature (Rolland 2003). No single QC method alone was found adequate; only a combination of several methods for outlier detection led to satisfying results (see also Štěpánek et al. 2009). Our QC procedures coped with the doubtful stations and the extremely erroneous observed data that can provide a basic reliability of meteorological data.

SI of climate data

Selection of climate variables

According to the World Meteorological Organization, data for a 30-year period are recommended because they provide stable and reproducible monthly means (Benavides et al. 2007). The most applicable length of time of observed data is practically a compromise between climate stability (ie quality) and sample size (ie quantity). Longer periods of continuous observed data can provide a steadier climatological mean state but may leave too few sample stations to accurately interpolate climate layers. Thus, the minimum length of observation has more often been set empirically and depended on the variability of the study area, including 8–30 years (eg Hevesi et al 1992; Goovaerts
We set the minimum length to 7 years for Tm and 12 years for Pm. This was a subjective and empirical decision based on a compromise between the longest observed length and the adequate density of sample stations (Ninyerola et al. 2000). The relation between climate stability and observed length should be explored in future.

**Interpolating temperature layers**

The RMSEs of all methods in Figure 3A are approximately 1.58°C. This seems to be acceptable when compared with the results presented by Boer et al. (2001) and Jeffrey et al. (2001). But the cross-validation process gives the average prediction error for all stations and may be heavily affected by the lopsided distribution of samples (Prudhomme and Reed 1999). The satisfying RMSE values shown in Figure 3A may only be appropriate for the lowlands (ie areas with dense stations; see Figure 2A). In the mountainous region, for example in orographic Shei-Pa National Park with only 4 stations, OK disregards the effect of topography (589–3882 m) and therefore gets a small-amplitude variability of T1 (5.85–12.35°C).

According to the lapse rate of 4.28–6.14°C/km mentioned in the Results section, T1 at Mount Shei, the highest peak of Shei-Pa National Park, should be ~8.29 to ~1.06°C. It is easy to perceive the inadequacy of OK by the contrast between OK-interpolated 5.85°C and probable ~8.29 to ~1.06°C. The major reason for the impractical OK interpolation is the low density of stations, and a minor one is the disregard of altitude as an ancillary variable. This example shows that OK is not an appropriate method based on the sparse station network, which mostly affects the high mountain area.

Among the other methods, COK has the second-best performance except in June to September. This may be the result of the complex relations between temperature and orography as well as a result of the climate characteristics of Taiwan, such as the monsoon system, the prevalent cloud belt, and the Massenerhebung effect (Su 1984a, 1984b). Besides, Figure 3A reveals that detOK and aniOK have no special advantage as a result of the uncertainty of the detrending procedure and the anisotropy coupled with kriging in Taiwan.

Figure 3A shows the general superiority of resOK, a commonly used method in SI of temperature (e.g. Guler et al. 2009), over other methods. Its predicted errors are significantly lower than with the other methods (P < 0.05). The resOK based on a regression model and less affected by station density (Marquinez et al. 2003), known as trivariate regression-kriging (Boer et al. 2001), integrates 2 sources of information, namely the large trend and the localized variance. The former, Tm regression formula as a function of 3 predictor variables, represents large-scale trends. The latter, OK interpolation of regression residuals, represents localized regional variances on smaller scales. That is to say, resOK is based on the principle that temperature can be described as a combination of a deterministic (trend) and a stochastic component (Engen-Skaugen et al. 2007). Moreover, in mountainous areas with very few stations, the resOK method also has the best performance. If we examine the RMSE of T1 layer using only the 42 stations above 500 m (see Figure 2A), for example, the methods (and their RMSE) are ranked from best to worst as follows: resOK (0.96°C), COK (1.27°C), logOK (3.13°C), detOK (3.26°C), OK (3.35°C), aniOK (3.48°C).

**Interpolating precipitation layers**

Precipitation increases with elevation because of the ascent, cooling, and condensation of wet air in mountainous terrain, but the relation varies substantially with complex factors such as the orographic barrier characteristics, the distance from large water bodies, the strength and moisture content of wind, etc (e.g. Prudhomme and Reed 1999). In our study, E can explain only 1.2–45.4% variance of Pm. When we used all 3 predictors, 29.8–78.2% of the variance in precipitation could be explained (Table 4). This reveals the unstable relation between precipitation and station elevation and position, without a uniform gradient (e.g. Moral 2009). The low density of stations and the complex relation between precipitation and topography make it difficult to obtain a reliable spatial model of precipitation (Drogue et al. 2002). The difficulties of modeling, especially in mountainous areas such as Taiwan, mainly derived from the interaction of weather with topography, result in a highly variable precipitation pattern (Singh and Kumar 1997). Our regression analysis also reveals that 3 geographic predictors E, X, and Y can only explain weak and unstable

|       | E    | X    | Y    | EX   | EY   | XY   | EXY  |
|-------|------|------|------|------|------|------|------|
| P1    | 0.078| 0.591| 0.413| 0.591| 0.443| 0.627| 0.628|
| P4    | 0.261| 0.319| 0.477| 0.432| 0.636| 0.500| 0.637|
| P7    | 0.022| 0.066| 0.418| 0.131| 0.487| 0.461| 0.505|
| P10   | 0.035| 0.591| 0.086| 0.597| 0.105| 0.661| 0.671|

TABLE 4 Adjusted $R^2$ for Pm linear regression (Pm are dependent variables and E, X, and Y are predictive variables; see Figure 2B). The highest adjusted $R^2$ are written in boldface.
precipitation variance. Consequently, the regression application using geographic position, such as resOK, has not shown significant benefits of interpolating Pm in contrast with its advantage in Tm interpolation.

In this study, the RMSE of Pm interpolation assessed by cross-validation for 6 methods was 31.15 mm, which seems to be better than the performances of Marquínez et al (2003). The overall spatial patterns of interpolated layers from 6 methods are similar; the comparison of prediction error indices for interpolated P1 and P7 is summarized in Table 5. The Pm similarities of prediction errors (Figure 3B, no statistically significant difference) and spatial patterns among the 6 SI methods increase the difficulty of choosing the suitable SI method.

In fact, a perfect method for every climate variable under different environments is hard to achieve. Price et al (2000: 82) suggest that “[i]n some instances, it may be preferable to use a simple method applied to the region of interest than to use a more sophisticated approach which could be marginally more accurate, but requires considerably more time and money to implement.” The more complex COK, detOK, and aniOK methods recommended by many researchers provide no particular advantage relative to the simpler OK and logOK (Figure 3B; Table 5). This outcome is mainly a result of the complex topography–precipitation interaction. Predicting precipitation’s spatial pattern is also made more troublesome by the high variability and non-Gaussian character of the data (Boer et al 2001). Interpolation in large areas is more complicated because the relationship between altitude and precipitation fades in large areas. The existence of this relation is the basis of detOK and aniOK interpolation, so it is not surprising that these 2 methods do no better than the others (Phillips et al 1992).

The logOK is a simpler method. It is based on the fact that the logarithm of precipitation has a more Gaussian distribution than the precipitation itself and then leads to more stable behavior (Phillips et al 1992; Martínez-Cob 1996; Price et al 2000). Although normality is not a prerequisite for kriging, it is a desirable property (Stahl et al 2006). Kriging will only generate the best absolute estimate if the random function fits a normal distribution (Moral 2009). Rather than attempting to justify one method over another for theoretical reasons, we adopted logOK as the precipitation SI method for practical reasons.

**Comparison with pre-existing climate layers**

We compared our SI results with 2 other pre-existing climate layers in Taiwan: (1) the climate atlas (known as ATLAS, a form of isopleth map), which is manually prepared by the Central Weather Bureau, and (2) grid layers from the Agricultural Research Institute estimated by “parameter-elevation regressions using an independent slope model” (known as PRISM; Daly et al 1994). All layers were transformed to the same coordinate system and the same grid size of this study.

A comparison of our Tm layers with ATLAS shows that their general patterns are in basic agreement. The average monthly difference is only 0.02°C. The annual difference can be calculated and mapped through ArcGIS; summary statistics are presented in Table 6. Their mean, range, and standard deviation (SD) are 0.27°C, –7.53–6.82°C, and 1.52°C, respectively. Our layer is cooler than ATLAS along the mountain crests and warmer in the river valleys. A comparison of our Pm layers with ATLAS reveals that the average monthly difference is only 4.64 mm. Table 6 presents the summary statistics of annual precipitation differences. Their mean, range, and SDs are –55.68 mm, –1868.18–1616.19 mm,

| Error indices   | OK     | detOK   | aniOK   | COK    | resOK   | logOK   |
|-----------------|--------|---------|---------|--------|---------|---------|
| **P1**          |        |         |         |        |         |         |
| Mean            | −0.249 | −0.038  | −0.168  | −0.249 | −0.032  | −0.619  |
| RMSE            | 17.750 | 17.600  | 17.600  | 17.750 | 17.310  | 17.510  |
| Average standard error | 8.074 | 13.490  | 8.170   | 8.069  | 13.170  | 21.810  |
| Mean standardized | −0.016 | −0.001  | −0.010  | −0.016 | 0.000   | −0.008  |
| Standard RMSE   | 3.024  | 1.247   | 3.045   | 3.026  | 1.256   | 0.949   |
| **P7**          |        |         |         |        |         |         |
| Mean            | 0.224  | −0.227  | 0.102   | 0.225  | −0.067  | 3.413   |
| RMSE            | 42.900 | 42.650  | 41.980  | 42.900 | 40.730  | 42.200  |
| Average standard error | 0.224 | 27.720  | 60.640  | 76.380 | 27.640  | 89.350  |
| Mean standardized | 0.003 | −0.002  | 0.002   | 0.003  | −0.001  | 0.051   |
| Standard RMSE   | 0.557  | 1.824   | 0.678   | 0.557  | 1.666   | 0.463   |
Further quantitative comparisons between our layers and ATLAS were hindered because of the unknown data QC procedure, data period, sample stations, and the most important mapping method (manual isopleth) used for ATLAS. Comparing our Tm layers with PRISM showed that their general patterns are also in basic agreement. Their average monthly difference is 0.59°C, much greater than with ATLAS, however. Each monthly difference can be calculated and mapped through ArcGIS, showing that 10.78% grids have a greater than 2°C difference, with T7 as an example. Table 6 shows the difference in annual mean temperature. The mean, range, and SD are −0.63°C, −5.11−3.83°C, and 0.92°C, respectively. Our layer is cooler than PRISM almost everywhere, especially along the mountain crests of the northern and central highlands. Our layer is somewhat warmer than PRISM along the eastern slopes of the Central Mountain Range, especially its southern section. In comparing our Pm layers with PRISM, we found that the agreement is slightly less, with an average monthly difference of about 12.73 mm. Only 5.58% of the grids have a difference greater than 50 mm, with P1 as an example. Table 6 shows that the mean, range, and SD of annual precipitation are −152.74 mm, −5937.40−1421.77 mm, and 493.54 mm, respectively. Our value is lower than that of PRISM by about 2000 mm in the western mountains, and by about 4500 mm on a few peaks. The larger differences may hint that some extremes were filtered out in our QC procedure but used as sampling points in PRISM. Because the different baselines (eg the different data QC procedure, data period, sample stations) increase disagreements, we are unable to assess which method is more accurate.

Overall, the spatial patterns of temperature and precipitation in our layers are similar to those in ATLAS and PRISM. All 3 Tm layers correctly represent the relation between temperature and altitude (as well as latitude, for some regions), but our layers better illustrate the inseparability between temperature and orography. All 3 Pm layers present the expected regional and seasonal variations in precipitation. Our layers, however, seem to diminish some of the doubtful extremes that appear in ATLAS and PRISM for certain mountainous regions. In general, our results are closer to ATLAS than to PRISM. The main differences between our layers and PRISM may derive from the QC procedure, the data period, the sample stations, and the SI method.

Conclusions

In this article we propose a 2-stage process to map continuous climate layers from scattered and unchecked meteorological stations. The proposed method is based on a GIS approach to carry out a QC of meteorological data first, and then use their long-term data as sample points to proceed with the SI of climate layers. The former is a prerequisite for the latter.

In the meteorological QC procedure, many doubtful stations and unreasonable observed data were filtered out. This procedure can provide fundamental assurance of data quality and raise the accuracy of follow-up interpolation. In the climate SI procedure, we evaluated the performance of different kriging-based methods. We adopted resOK as the best temperature SI method based on cross-validation. Accurate interpolation of precipitation spatial patterns is a more complex undertaking than interpolation for mean temperature (eg Guler et al 2007; Ashiq et al 2009). We found no statistically significant difference among the 6 Pm interpolation methods. The logOK was preferred over the other methods for interpolating precipitation, not so much because of its superiority in predicting errors but for more practical reasons such as its stability and simplicity. A comparison of our SI layers with pre-existing climate layers showed that their overall spatial patterns are similar. The proposed 2-stage process is quite general and offers the possibility of mapping adequate climate layers; it could thus potentially be applied to other mountains with unchecked meteorological databases.

| Difference value                  | Our estimate minus ATLAS | Our estimate minus PRISM |
|-----------------------------------|--------------------------|--------------------------|
| Annual temperature (unit: °C)     |                          |                          |
| Mean                              | 0.27                     | −0.63                    |
| Max                               | 6.82                     | 3.83                     |
| Min                               | −7.53                    | −5.11                    |
| SD                                | 1.52                     | 0.92                     |
| Annual precipitation (unit: mm)   |                          |                          |
| Mean                              | −55.68                   | −152.74                  |
| Max                               | 1616.19                  | 1421.77                  |
| Min                               | −1868.18                 | −5937.40                 |
| SD                                | 311.27                   | 493.54                   |

Table 6 Summary statistics of annual difference value between our own estimate and ATLAS or PRISM. Min: minimum; Max: maximum; SD: standard deviation.
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