RAPID DUST FORMATION IN NOVAE: THE SPEED CLASS—FORMATION TIMESCALE CORRELATION EXPLAINED

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ABSTRACT

Observations show that the time of onset of dust formation in classical novae depends strongly on their speed class, with dust typically taking longer to form in slower novae. Using empirical relationships between speed class, luminosity and ejection velocity, it can be shown that dust formation timescale is expected to be essentially independent of speed class. However, following a nova outburst the spectrum of the central hot source evolves, with an increasing proportion of the radiation being emitted short-ward of the Lyman limit. The rate at which the spectrum evolves also depends on the speed class. We have therefore refined the simple model by assuming photons at energies higher than the Lyman limit are absorbed by neutral hydrogen gas internal to the dust formation sites, therefore preventing these photons reaching the nucleation sites. With this refinement the dust formation timescale is theoretically dependent on speed class and the results of our theoretical modification agree well with the observational data. We consider two types of carbon-based dust, graphite and amorphous carbon, with both types producing similar relationships. Our results can be used to predict when dust will form in a nova of a given speed class and hence when observations should optimally be taken to detect the onset of dust formation.

Key word: novae, cataclysmic variables

1. INTRODUCTION

Classical nova outbursts occur in binary systems where a white dwarf accretes matter from a less evolved secondary (either main sequence, sub-giant or red giant; see Darnley et al. 2012 for a discussion). The outburst is produced when the white dwarf has accreted sufficient matter for the material at the base of the accreted envelope to have a pressure and temperature high enough for nuclear fusion to occur. This leads to a thermonuclear runaway, causing the rapid rise in luminosity and ejection of accreted material observed during outburst (see, e.g., Bode 2010 and references therein).

Dust formation has been observed in Galactic novae for about 40 yr (Geisel et al. 1970; see Bode & Evans 1989 for a review of the early observations), and observations have recently extended to the potentially much larger sample of extragalactic novae (Shafter et al. 2011a). A nova outburst in a system containing a CO white dwarf (CO nova) can produce silicates, silicon carbide, carbon or hydrocarbons, or indeed a combination of these (Gehrz et al. 1998; Gehrz & Gehrz 2012). Only a small portion (probably ≲0.3%; Gehrz et al. 1998) of a galaxy’s interstellar dust originates in novae, but novae may be an important source of some elements and isotopes; indeed they are predicted to be the major source of 13C, 15N and 17O (Starrfield et al. 1972; Jose & Hernanz 1998; Starrfield et al. 2008).

The link between dust formation and speed class was first suggested by Gallagher (1977). Bode & Evans (1982) explored the relationship between speed class and IR development to explain why fast novae seemed less able to form extensive dust shells. We now know that it is the generally very fast Neon novae, however, that produce little or no detected dust. It may be that CO novae generally produce more dust because they contain lower mass white dwarfs, hence an outburst involves higher ejected mass at lower velocities (Gehrz et al. 1998). Any dust formed in the nova environment is subjected to the strong radiation field that it produces. However some factors of the environment in nova ejecta are favorable to dust formation, such as the high densities and heavy element abundances found therein. The rates of many reactions which must take place in order for nucleation sites to form are also higher at the temperatures found here (Evans & Rawlings 2008).

In novae, dust formation typically occurs between one and five months post-outburst and observations show that this timescale depends on the rate the nova fades in the optical (the speed class; Gehrz et al. 1998; Evans & Rawlings 2008; Shafter et al. 2011a), with dust condensation time, $t_{cond}$, being longer for slower novae. Indeed, Figure 11 in Shafter et al. (2011a) shows there appears to be a strong correlation between $t_{cond}$ and the time it takes for the brightness of a nova to decline by two magnitudes, $t_2$. However this relationship has not been explained theoretically.

This work therefore aims to better understand the relationship between dust formation timescale and speed class. During a nova outburst the spectrum of the central hot source evolves as the temperature of the pseudo-photosphere increases (e.g., Bath & Harkness 1989). At higher temperatures more radiation is systematically emitted at higher energies than the Lyman limit and therefore can be absorbed by neutral hydrogen (see Section 2.2). Using this hypothesis, the basic theory described in Section 2.1 is modified and the results are compared to the observational data.

2. EXPLORING THE SPEED CLASS—FORMATION TIMESCALE CORRELATION

2.1. A Simplistic Model

From energy balance considerations, Evans & Rawlings (2008) find the dust formation timescale, $t_{cond}$, is given by
where $L$ is the luminosity of the nova as seen by the grains (usually assumed to be the bolometric luminosity—see Section 2.2), $V_{ej}$ is ejection velocity, $(Q_d)_{ej}$ is Planck mean absorptivity, $(Q_e)$ is the Planck mean emissivity and $T_{cond}$ is the dust condensation temperature. Hence, from Equation (1)

$$t_{cond} \propto L^{1/2} V_{ej}^{-1}. \tag{2}$$

Using the Maximum Magnitude—Rate of Decline (MMRD) relationship from Warner (2008), it can be shown that

$$2.5 \log L \propto -\log t_{2}^{b_{2}}$$

and thus if $b_{2} \approx 2.5$ (Warner 2008), then

$$L \propto t_{2}^{-1}. \tag{3}$$

An empirically determined relationship from Warner (2008) gives

$$\log V_{ej} = 3.57 - 0.5 \log t_{2},$$

where $V_{ej}$ is in km s$^{-1}$ and $t_{2}$ is in units of days. In a survey of M31 novae, Shafter et al. (2011b) find a similar relationship from line widths. Therefore

$$V_{ej} \propto t_{2}^{-0.5}. \tag{4}$$

Substituting Equations (3) and (4) into Equation (2) shows $t_{cond}$ is then predicted to be approximately independent of $t_{2}$. Taking, for example, the value of $b_{2} = 2.55 \pm 0.32$ from Downes & Duerbeck (2000) results in the $t_{2}$ dependency of

$$t_{cond} \propto t_{2}^{-0.01 \pm 0.06}.$$

However, as can be seen in Shafter et al. (2011a, their Figure 11) this is clearly not the case and this basic analysis needs modifying. Our modification of the theory is described in Section 2.2. If there was no significant MMRD relationship as discussed by Kasliwal et al. (2011), $t_{cond}$ would be dependent on $t_{2}$ and would be given by

$$t_{cond} \propto t_{2}^{b_{2}},$$

A full quantitative analysis then reveals however that even if we assume very low luminosities (which are more conducive to earlier dust formation), dust is predicted to form far later than is ever observed.

### 2.2. The Effect of the Evolving Underlying Nova Spectrum on Dust Formation

As a first step in refining the simplistic model described above, we assume the grain nucleation sites only see emission at wavelengths longer than the Lyman limit (see, e.g., Evans & Rawlings 1994). Although simple uniform-chemistry models predict that the ejecta would be fully ionized before dust formation takes place (e.g., Mitchell & Evans 1984), it is well known that the chemistry leading to the formation of nucleation sites needs dense, cool, neutral clumps (see Evans & Rawlings 2008 and references therein). Indeed, there is strong observational evidence—in the form of Na i (ionization potential 5.14 eV) and CO emission (e.g., Evans et al. 1996; Rudy et al. 2003; Das et al. 2009; Raj et al. 2012) shortly before dust formation—for the presence of cool hydrogen-neutral clumps which are likely at the outer edge of the ionized wind; nucleation sites in such clumps will indeed be exposed only to radiation longward of the Lyman limit. In our analysis we assume the dust is formed at the outer extremities of the ejected shell.

The initial step is to take the bolometric luminosity as constant (e.g., Warner 2008) and defined by the speed class and then we find the fraction of this luminosity that is red-ward of the Lyman limit for any given nova at any given time. We define the peak absolute magnitude, $M_{V}$, of a given nova using the MMRD relation

$$M_{V} = 2.5 \log t_{2} - 11$$

(see Warner 2008, and references therein). Assuming the bolometric correction $BC = 0$ at the peak of the visual light curve (as it seems most novae at maximum have an effective photospheric temperature of about 8000 K—see Evans et al. 2005), $M_{V}$ is then converted to luminosity to give the bolometric luminosity, $L_{bol}$, corresponding to each $t_{2}$.

The temperature of the pseudo-photosphere is at a minimum at the time of visual maximum, which is in turn reached within the first few days of outburst in most novae. At this time, almost all of the radiation is at wavelengths longer than the Lyman limit. The fraction of radiation red-ward of the Lyman limit can be calculated from the effective temperature, $T_{eff}$, given by the following equation from Bath & Harkness (1989):

$$T_{eff} = T_{0} \times 10^{\Delta V/2.5},$$

where $T_{0}$ is the pseudo-photospheric temperature at visual peak (=8000 K as noted above, Evans et al. 2005) and $\Delta V$ is the change in magnitude from peak. In order to find $T_{eff}$ as a function of time we produced model optical light curves for each $t_{2}$ value.

To do this, first the outburst amplitude, $A$, for each $t_{2}$ value was estimated using the 57$^\circ$ line in the amplitude—log $t_{2}$ relationship plot in Warner (1995, the average flux observed from accretion disks with a random distribution of inclinations will be equal to that of 57$^\circ$ system). A standard exponential decline was then assumed. The time after outburst corresponding to each $\Delta V$ was calculated using

$$t = \frac{\ln A - \ln(A - \Delta V)}{\ln A - \ln(A - 2)} t_{2}.$$
considered different types of grain material, for example using constant bolometric luminosity being higher for the faster nova. L that, as expected, $L_{\text{Ly}}$ drops much faster for faster novae. For example, potential dust formation sites in a $t_2 = 40$ days nova see more central source luminosity at $t = 30$ days than potential sites in a $t_2 = 25$ days nova do at the same epoch, despite the constant bolometric luminosity being higher for the faster nova.

As part of the revised theoretical exploration, we have considered different types of grain material, for example using data from Zubko et al. (1996). In terms of the size of nucleation centers we assume that $C_9$ as a nucleation center acts as a solid sphere, where grain radius, $a \sim 0.26$ nm (see Evans & Rawlings 2008, and references therein). A Mie theory code was run to generate $Q_{\text{abs}}$ values for a range of grain sizes from $0.26 \text{ nm} < a < 5$ nm over $0.05 \mu m < \lambda < 1 \mu m$ for a condensation temperature, $T_{\text{cond}}$, of 1200 K (appropriate for graphite in a 1:1 ratio C:O environment; Evans & Rawlings 2008). Absorption efficiencies at longer wavelengths were found by extrapolation.

We chose to explore results for graphite and ACH2 (amorphous carbon is thought to form in H-rich environments, Zubko et al. 1996), although the formation of spherical nucleation centers is of course less likely in the case of graphite. The results showed that, as expected in the Rayleigh regime, $Q_{\text{abs}} \propto a$. We then calculated the Planck mean emission for graphite as

$$\langle Q_e \rangle \simeq 0.15aT_d^{1.5}$$

and that for ACH2 as

$$\langle Q_e \rangle \simeq 400aT_d^{-0.46},$$

where $T_d$ is the temperature of the grains (in Kelvin) and $a$ is in cm in each case. These Planck means are not valid for all temperatures, but sufficient for these calculations (i.e., they easily cover the range around 1200 K—the Planck mean for graphite is valid over the temperature range of approximately 500–4000 K, with that of ACH2 being valid approximately between 500 K and 2000 K).

Thus, considering the energy balance between absorbed and emitted energy by a nucleation site for graphite

$$T_d = \left[ \frac{5L_{\text{bol}}}{12a\sigma^2T_{\text{eff}}^4V_{\text{eff}}^2} \int_{\lambda_1}^{\lambda_2} B_\lambda(T_{\text{eff}})Q_{\text{abs}}(a, \lambda) d\lambda \right]^{0.18}$$

and for ACH2

$$T_d = \left[ \frac{L_{\text{bol}}}{6400a\sigma^2T_{\text{eff}}^4V_{\text{eff}}^2} \int_{\lambda_1}^{\lambda_2} B_\lambda(T_{\text{eff}})Q_{\text{abs}}(a, \lambda) d\lambda \right]^{0.22}.$$  

We solved Equation (6) numerically for dust condensation temperatures in the range of 1000–1400 K and solved Equation (5) numerically for $T_{\text{cond}} = 1200$ K for reference.

3. RESULTS AND DISCUSSION

We have compared the predicted $t_{\text{cond}}$–$t_2$ relationships from the above model with the data produced by Shafter et al. (2011a) using their observations and those of references therein. This is shown in Figure 2, with additional points added for V1425 Aql (Kamath et al. 1997), V1280 Sco (Chesneau et al. 2008), V5579 Sgr (Raj et al. 2011), V496 Sco (Raj et al. 2012) and Nova Cep 2013 (Munari et al. 2013). The graphite and ACH2 relationships shown in the figure were produced by performing the numerical integration described at the end of Section 2.2 over a range of $t_2$ values.

As can be seen from Figure 2, the results for both graphite and ACH2 appear to agree well with the general trend of $t_{\text{cond}}$ with $t_2$ from the observations, despite the simplistic assumptions made. There do not appear to be great differences between the relationships for the two types of carbon. The shaded area of the figure displays the relationship for ACH2 for $T_{\text{cond}}$ between 1000 K and 1400 K. This shows that the relationship holds well for a range of $T_{\text{cond}}$. We note that many specific data points at the lower $t_2$ values lie outside our relationship, but this reflects the simplicity of our model and the variation in parameters,
including specific dust grain types, expected for individual nova outbursts.

It can also be seen in Figure 2, that there is a gap in observational data between $100 \lesssim t_2 \lesssim 200$. We note of course that the extreme case, V445 Pup, is an unusual helium nova. The apparent gap may however be due to the relative rarity of novae of these slow speed classes, and furthermore not every nova being observed systematically at such late times to detect the epoch of dust formation. Overall, our results can be used to predict when dust will form in a nova of a given speed class and hence when, for example, infrared observations should be taken to detect the onset of dust formation.

The only known dust-forming nova where carbon-based dust has not been observed is QU Vul, where SiO$_2$ dust was formed (t$_2$ = 20 days and t$_{cond}$ = 40 days; Evans & Rawlings 2008; Strope et al. 2010), although this nova still appears to match our theoretical relationships for carbon-based dust. Several novae have been observed to form both carbon-rich and oxygen-rich dust (Evans & Rawlings 2008), although the dust in CO novae is thought to consist mainly of amorphous carbon grains (Gehrz 2008). As a future step it would be feasible to conduct a similar analysis for silicates, although these form later than

carbon-rich dust where both types are formed in the same nova (Gehrz 2008). Similarly, the application of more realistic spectral energy distributions for the emission seen by the grains, and any effects of re-emission of photons within the clumps, plus the effects of non-spherical geometry (e.g., Chesneau et al. 2012) should be explored.

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