PROPLYDS AND MASSIVE DISKS IN THE ORION NEBULA CLUSTER IMAGED WITH CARMA AND SMA

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Received 2008 February 15; accepted 2008 March 19

ABSTRACT

We imaged a 2′ × 2′ region of the Orion Nebula Cluster (ONC) in 1.3 mm wavelength continuum emission with the recently commissioned Combined Array for Research in Millimeter Astronomy (CARMA) and with the Submillimeter Array (SMA). Our mosaics include >250 known near-IR cluster members, of which 36 are so-called “proplyds” that have been imaged previously with the Hubble Space Telescope. We detected 40 sources in 1 mm continuum emission (one of which is the BN Object), and several of them are spatially resolved with our observations. The emission from most objects arises predominantly from dust, and circumstellar masses inferred for detected sources range from 0.01 to 0.5 $M_\odot$. The average circumstellar mass for undetected sources is estimated to be $\sim 0.001 M_\odot$, approximately an order of magnitude smaller than the minimum-mass solar nebula. Most stars in the ONC thus do not appear to currently possess sufficient mass in small dust grains to form Jupiter-mass (or larger) planets. Comparison with previous results for younger and older regions indicates that massive disks evolve significantly on timescales shorter than inferred disk lifetimes (e.g., Hayashi 1981; Alibert et al. 2005). The MMSN is thus an informative benchmark against which to gauge the potential of disks around other stars to form solar systems like our own. A widely used method (e.g., Beckwith et al. 1990) for measuring disk masses is to observe emission from optically thin dust, and then use assumed dust grain properties to convert observed fluxes into dust masses. An assumed gas-to-dust ratio is then used to estimate the total (gas + dust) circumstellar mass. At short wavelengths ($λ ≤ 10 \mu m$), the dust in protoplanetary disks is optically thick, even for masses $< 10^{-6} M_\odot$. Observations at submillimeter and millimeter wavelengths are necessary to measure optically thin dust emission, and hence to determine the total mass of dust in the disk.

Several investigators have carried out comprehensive single-dish millimeter and submillimeter continuum surveys toward regions of star formation that comprise loose aggregates of stars: Taurus

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(Beckwith et al. 1990; Osterloh & Beckwith 1995; Motte & André 2001; Andrews & Williams 2005), ρ Ophiuchi (André & Montmerle 1994; Nuenberger et al. 1998; Motte et al. 1998; Andrews & Williams 2007), Lupus (Nuenberger et al. 1997), Chamaeleon I (Henning et al. 1993), Serpens (Testi & Sargent 1998), and MBM 12 (Itoh et al. 2003; Hogerheijde et al. 2002). In Taurus, 22% of stars surveyed appear to possess disks more massive than ~0.01 $M_\odot$, and the median disk mass is $5 \times 10^{-3} M_\odot$ (Andrews & Williams 2005). The fraction of massive disks$^3$ and the median disk mass are comparable in ρ Ophiuchi (André & Montmerle 1994; Andrews & Williams 2007).

However, low-density star-forming regions are not the typical birth sites of stars; rather, most stars form in rich clusters like the Orion Nebula (Lada et al. 1991, 1993; Carpenter 2000; Lada & Lada 2003). Isotopic abundances in our solar system suggest that it too may have formed in a dense, Orion-like environment (e.g., Hester & Desch 2005; Williams & Gaidos 2007). Expanding millimeter continuum surveys to include rich clusters allows the determination of the frequency and evolution of massive disks in typical star (and planet) formation environments. The high stellar density in rich clusters also allows the assembly of good statistics, since many disks can be mapped at once.

The main challenge to observing rich clusters at (sub)millimeter wavelengths is that very high angular resolution is required to resolve individual sources and to distinguish compact disk emission from the more extended emission of the molecular clouds in which young clusters are typically embedded. Single-aperture millimeter-wavelength telescopes lack sufficient angular resolution, and to date only three rich clusters have been observed with millimeter-wavelength interferometers: the Orion Nebula cluster (Mundy et al. 1995; Bally et al. 1998b; Williams et al. 2005; Eisner & Carpenter 2006), IC 348 (Carpenter 2002), and NGC 2024 (Eisner & Carpenter 2003).

These interferometric surveys of rich clusters have detected very few disks with $\gtrsim 0.01–0.1 M_\odot$ of material, in large part because of limited sensitivity and areal coverage. The most recent observations of Orion detected emission from several massive ($\gtrsim 0.01 M_\odot$) disks (Williams et al. 2005; Eisner & Carpenter 2006), while upper limits from other surveys range from ~0.025 to 0.17 $M_\odot$ (Mundy et al. 1995; Bally et al. 1998b). Considering assembles the large numbers ($\gtrsim 100$) of young stars included in the cluster surveys allowed estimates of mean disk masses of ~0.002, 0.005, and 0.005 $M_\odot$ in IC 348, NGC 2024, and the Orion Nebula Cluster (ONC), respectively (Carpenter 2002; Eisner & Carpenter 2003, 2006). Thus, it appears that many stars aged $\lesssim 1$ Myr still possess massive circumstellar disks, although more sensitive observations are necessary to directly detect large numbers of massive disks at a range of ages, and thereby constrain the mass distribution and evolutionary timescales.

Here, we present a new 1.3 mm wavelength interferometric survey of the ONC, a young, embedded stellar cluster that includes the bright, massive Trapezium stars. Our observations make use of the Submillimeter Array (SMA) and the recently commissioned Combined Array for Research in Millimeter Astronomy (CARMA). The combination of data from these two instruments yields a map of the millimeter-wavelength continuum emission in Orion with unprecedented sensitivity, angular resolution, and image fidelity.

The Trapezium region contains hundreds of stars within a several arcminute radius, and pre-main-sequence evolutionary models (e.g., D’Antona & Mazzitelli 1994) fitted to spectroscopic and/or photometric data indicate that most stars are less than approximately 1 million years old (e.g., Prosser et al. 1994; Hillenbrand 1997). The standard deviation in the distribution of inferred stellar ages is $\lesssim 1$ Myr (Hillenbrand 1997). Our observations thus provide a snapshot of millimeter emission around a large number of roughly coeval young stars.

With the large number of stars in the ONC, we can also investigate the correlation of disk properties with stellar and/or environmental properties. Previous investigations of near-IR excess emission showed the inner disk fraction for stars in Orion to be largely independent of stellar age and mass, although there are indications of a paucity of disks around very massive stars (Hillenbrand et al. 1998; Lada et al. 2000). In addition, the inner disk fraction may decrease at larger cluster radii (Hillenbrand et al. 1998). The millimeter observations presented here enable investigation of how such stellar and environmental properties correlate with disk mass.

We adopt a distance to the ONC of 400 pc, based on recent trigonometric parallax measurements of several stars (Sandstrom et al. 2007; Menten et al. 2007) and orbital fitting for a spectroscopic binary (Kraus et al. 2007). This is substantially lower than the value of 480 pc computed based on statistical parallax of water maser spots (Genzel et al. 1981), which was adopted in previous studies of the ONC (e.g., Eisner & Carpenter 2006). We discuss below the importance of this revised distance to our results.

2. OBSERVATIONS AND DATA REDUCTION

2.1. CARMA Observations and Calibration

We mosaicked a $2' \times 2'$ region toward the ONC in $\lambda 1.3$ mm continuum with CARMA between 2007 October and December. CARMA consists of six 10 m antennas and nine 6 m antennas situated at 2200 m elevation at Cedar Flat in the Inyo Mountains of California. With a total of 15 antennas, CARMA provides 105 baselines, enabling excellent coverage of the $u$-$v$ plane, and hence high image fidelity. Two different array configurations (“C” and “B”) were used to obtain antenna separations ranging from 30 to 946 m.

Continuum data were recorded in six ~500 MHz bands covering the frequency ranges 221.75–223.25 and 227.25–228.75 GHz from the receivers’ lower and upper sidebands, respectively. Each band consists of 15 channels. Spectral line emission in Orion is mostly resolved out by these observations; that is, across most of the mapped region, it is detected only weakly because it is spatially extended relative to the interferometer fringe spacings. The spectral lines most visible on the shortest baselines, mostly toward the BN/KL region in the northwest corner of the mosaic, are the $11(1,1)\rightarrow 10(0,0)$ transition of SO$_2$ at 221.965 GHz and the $25\rightarrow 24$ transition of HC$_3$N at 227.402 GHz. Even these lines are almost completely resolved out for projected antenna spacings $>70\ k\lambda$ (used to generate the final maps; see § 2.3). We therefore assume that our bands are effectively line free.

The mosaic consists of 16 pointing centers (Fig. 1), separated by 26'. This separation is comparable to the full-width at half-maximum (FWHM) beamwidth of the 10 m antennas, but $\sqrt{3}$ smaller than the FWHM beamwidth of the 6 m antennas. A two-dimensional mosaic is Nyquist sampled if pointings are separated by $\leq$ FWHM/$\sqrt{3}$. Thus, the CARMA mosaic is Nyquist sampled only for the 6 m dishes. However, Nyquist sampling is not crucial, since we are interested only in compact sources, rather than extended emission. Simulated CARMA mosaics of a synthetic star field showed that 26' spacings provided the best balance of

$^3$ Here and throughout the text, “massive disks” refer to disks with mass comparable to or greater than 0.01 $M_\odot$, the lower range of estimates for the minimum-mass solar nebula.
We used J0423+013 and 3C 120 as gain calibrators for these tracks, with flux densities of 1.4 and 1.0 Jy, respectively, derived using Uranus as a primary flux calibrator. We estimate that the absolute flux scale is uncertain by $\sim 10\%$. We calibrated the passband using the quasar 3C 454.3 and Uranus where available. Because the CO($2\rightarrow1$) transitions are present in the observing window, we edited out the parts of the band with strong lines and generated a line-free continuum channel. All calibrations were performed using the SMA adaptation of the IDL-based data reduction package MIRIAD developed at Caltech; calibrated data were then converted into MIRIAD format for further processing.

2.3. Mapping

We made mosaics of our CARMA and SMA data sets individually, and after combining the two data sets in the $u$-$v$ plane. For the individual and combined data sets, we mosaicked the individual pointings into a single image, weighting the data by system temperature and by $u$-$v$ distance (with a “robust” parameter of 0.5); we then deconvolved and CLEANed them (all using MIRIAD). The angular resolution afforded by the longest baseline data in our maps (from the CARMA B array) is $\sim 0.3''$. Our mosaics have 0.1'' pixels, which ensures adequate sampling of individual resolution elements.

Since we are primarily interested in compact disk emission, we eliminated $u$-$v$ spacings shorter than 70 $k\lambda$ (i.e., with projected baselines shorter than 93 m) in order to reduce contamination from bright extended emission. The eliminated spacings correspond to size scales larger than $\sim 3''$. The cutoff value was chosen to minimize the rms background noise in the CLEANed images; we measured the rms for $u$-$v$ cutoff radii of 50, 60, 70, and 80 $k\lambda$, and found the 70 $k\lambda$ cutoff to be optimal.

Mosaics produced from our robustly weighted data with $r_{u-v} > 70$ $k\lambda$ are shown in Figures 2–4. In the figures, we have divided by the theoretical sensitivity at each location in the image in order to visually downweight the noisier edges of the mosaic (where there are fewer overlapping pointings); we do not divide by the sensitivity in the analysis presented below. We note that even within the uniform (theoretical) sensitivity region of the mosaic, the rms varies substantially because of emission scattered from bright compact and extended sources in the BN/KL and OMC1-S regions located in the upper and lower right quadrants of the maps.

For the SMA mosaic, the unit-gain region (within which the theoretical sensitivity does not vary substantially) encompasses a roughly triangular region covering $\sim 2$ arcmin$^2$. The rms of
pixels within “clean” regions of the unit-gain contour (i.e., away from the crowded BN/KL and OMC1-S regions) is 0.8 mJy. The unit-gain region of the CARMA mosaic encompasses a $2' \times 2'$ area, with an rms noise level (again, in clean regions of the map) of 2.3 mJy. For the combined map, which will be used for the bulk of our analysis, the unit-gain region is slightly larger than for the CARMA-only mosaic, and the rms noise level is 1.8 mJy. The synthesized beam has dimensions (FWHM) of $0.69'' \times 0.60''$ at a position angle of 72°.

3. ANALYSIS AND RESULTS

3.1. Detection Thresholds

Because the map contains a large number of pixels, we must employ a fairly high detection threshold to avoid random noise spikes if we search the image blindly. The mosaic area is approximately 35,000 synthesized beams. With this number of independent pixels, one expects $1\sigma$ noise spike above the 4 $\sigma$ level (assuming Gaussian noise). We therefore use a 5 $\sigma$ detection limit, at which level $\ll 1$ pixels are expected to show noise spikes. Because the noise varies greatly across the map, we calculate $\sigma$ locally in small subregions of the image.

Specifically, a “local” $\sigma$ is computed in $10'' \times 10''$ (=100 x 100 pixels) boxes around each pixel in the mosaic. For our detection thresholds to be meaningful, the noise must be well characterized. However, poorly sampled extended emission leads to excess noise in the BN/KL and OMC1-S regions. Moreover, the noise increases toward the edges of the unit-gain region because there are fewer overlapping mosaic pointings there. Detections in these areas should be treated with some caution.

As a test of our detection threshold, we searched the maps for false detections below the $-5\sigma$ level. None were detected, confirming that 5 $\sigma$ is a reasonable detection limit. In contrast, 28 sources were seen below the $-4\sigma$ level (most of them toward the edges of the mosaic or in the BN/KL and OMC1-S regions), demonstrating that $4\sigma$ is not a sufficiently stringent detection threshold (and that the noise across our mosaic is not always Gaussian).

Instead of blindly searching for detections, we can also use our prior knowledge of the locations of near-IR cluster members and search only these positions. For these $\sim$250 predetermined positions, $\sim 0.3$ sources are expected to show emission above the 3 $\sigma$ level from Gaussian noise. We can therefore try a 3 $\sigma$ detection threshold, where $\sigma$ is the noise determined locally (as above) in $10'' \times 10''$ subregions centered on individual cluster member positions. Although the noise in the mosaic is not always Gaussian, this 3 $\sigma$ threshold appears reasonable; none of the near-IR source positions were detected below the $-3\sigma$ level.

Sources with 1 mm continuum emission at the $>3\sigma$ level in our maps are deemed to coincide with near-IR cluster members if the millimeter peaks and near-IR source positions lie within 0.4$''$ of each other. The estimated relative positional accuracy of 0.4$''$ is the quadrature sum of uncertainties from centroiding the millimeter images ($\sim 0.5\theta_{\text{beam}}/\text{signal-to-noise} \approx 0.1''$), uncertainties in the absolute astrometry due to baseline errors ($\sim 0.2''$), and uncertainties in the near-IR source positions ($\sim 0.3''$).

We detected 19 sources within the unit-gain contour of our mosaic above the 5 $\sigma$ level (Table 1). Of these, 12 are coincident with near-IR cluster members listed in Hillenbrand & Carpenter (2000). An additional 21 objects were detected above the 3 $\sigma$ level toward positions of near-IR sources. Images of sources detected in our mosaic in 1 mm continuum are displayed in Figure 5.

While the BN object was detected, we defer discussion of this high-mass, embedded object (e.g., Gezari et al. 1998; Plambeck et al. 1995) to a later paper that will examine the BN/KL region in detail.\footnote{Although Source I is detected as a strong, individual object in our CARMA B array data, we do not detect it in our combined SMA+CARMA mosaic because of confusion with the hot core. Source I will also be discussed in the later paper.} In the remaining discussion, we focus our attention...
on the sources detected at both infrared and millimeter wavelengths. While most of these objects do not have known stellar masses, they are likely to be low-mass stars, a conclusion based on the stellar-mass distribution computed statistically for the ONC as a whole (Hillenbrand & Carpenter 2000).

### 3.2. Angular Sizes of Detected Objects

For each source detected in our 1 mm mosaic, we fitted a two-dimensional elliptical Gaussian to the emission. The synthesized, clean, beam for the combined mosaic is a two-dimensional Gaussian with a FWHM of $0.69'' \times 0.60''$ at a position angle (north of west) of $72^\circ$. At the assumed 400 pc distance to the ONC, the core of the synthesized beam has dimensions of $240 \times 280$ AU (again at a P.A. of $72^\circ$). For simplicity, we approximate this as $240$ AU in the east-west direction and $280$ AU in the north-south direction.

For sources detected at a signal-to-noise ratio of $\sim 5$, the statistical uncertainty in the fitted FWHM is $\sim 10\%$. Baseline errors or phase noise in our mosaics can broaden the apparent source sizes, however. We assume that a source is resolved only if the major or minor axis of the fitted FWHM is 25% larger than that of the synthesized beam. Objects for which the fitted Gaussian FWHM is smaller are considered to be unresolved.

Approximately 25% (9/39) of detected sources are spatially resolved in our images (Table 2). An additional nine objects (all proplyds) have been spatially resolved with the *Hubble Space Telescope (HST)* (Vicente & Alves 2005). Thus, angular sizes are available for $\sim 50\%$ of our sources. The inferred radii for resolved sources range from $\sim 90$ to $\sim 220$ AU. For unresolved objects, we can say only that the emission is confined to radii smaller than $\sim 100$ AU. For a sample of 134 proplyds with sizes measured with *HST*, the mean disk radius is 71 AU (Vicente & Alves 2005). Since the mean disk diameter is $\sim 1/2$ the size of the linear resolution of our observations, it is not surprising that most of the sources detected in the 1 mm mosaic are unresolved.

### 3.3. Distinguishing Dust and Free-Free Emission

Since we are interested in using our observations to constrain the mass of circumstellar dust around our sources, we must account for potential contributions to the observed fluxes from sources other than dust emission. Free-free emission arises in hot ionized gas, and in the ONC such conditions may exist either in H II regions around high-mass stars (e.g., Garay et al. 1987; Plambeck et al. 1995) or in the outer regions of disks or envelopes that are irradiated by the hot Trapezium stars (e.g., O'Dell et al. 1993;
Henney & O’Dell 1999). While some sources in the ONC have shown flares of cyclotron emission (e.g., Bower et al. 2003; Furuya et al. 2003), we expect that such rare events will not contribute significantly to the 1 mm fluxes, and we do not consider them here.

Because the spectral shape of free-free radiation differs from that of thermal dust emission, comparing 1 mm measurements with longer wavelength data enables us to distinguish these components. We use long-wavelength fluxes from the literature (Felli et al. 1993a, 1993b; Mundy et al. 1995; Zapata et al. 2004; Eisner & Carpenter 2006; Forbrich et al. 2008). In addition, we use 880 μm fluxes measured by Williams et al. (2005) for the few objects where these are available.

For a freely expanding, fully ionized wind with constant $\dot{M}$, such as we expect for proplyds, free-free emission will have the following spectrum:6

$$F_{\nu, ff} = \begin{cases} F_{\nu, turn}(\nu/\nu_{\text{turn}})^{-0.6} & \nu \leq \nu_{\text{turn}}, \\ F_{\nu, turn}(\nu/\nu_{\text{turn}})^{-0.1} & \nu \geq \nu_{\text{turn}}, \end{cases}$$

6 In a previous paper (Eisner & Carpenter 2006), we assumed that free-free emission originated from static H ii regions rather than from winds, as in the present work. This choice affects only the long-wavelength behavior of the free-free spectrum, and is relatively unimportant to our analysis.
Here, $\nu_{\text{turn}}$ is the frequency above which the wind is optically thin at all radii. We include a derivation of this result in the Appendix, and an alternative derivation can be found in Wright & Barlow (1975).

For $\nu < \nu_{\text{turn}}$, the inner parts of the wind are optically thick to free-free radiation. If we adopt a simple model for proplyd winds where $\dot{M} = 10^{-7} M_\odot$ yr$^{-1}$, with a spherical wind velocity of 20 km s$^{-1}$ (e.g., Henney & O'Dell 1999) and $T_e = 10^4$ K, we can estimate the size of the optically thick region. Using equation (A5), we obtain $x_{\tau=1} \sim 1$ AU at $\lambda 1$ mm and $\sim 30$ AU at $\lambda 10$ cm. Even at 10 cm, this is smaller than the likely wind-launching regions for proplyds, and free-free emission from most proplyds is likely to be fully optically thin. For the highest measured mass-loss rates of $\sim 10^{-6} M_\odot$ yr$^{-1}$ (e.g., Henney & O’Dell 1999), the optically thick regions of proplyd winds are $\sim 130$ AU for $\lambda \sim 10$ cm. We therefore do not expect to see a spectral turnover (eq. [1]) for wavelengths $< 5$ cm.

Emission from cool dust is added to this free-free emission to obtain a model of the observed flux. We assume that

$$F_{\nu,\text{dust}} = F_{230\text{ GHz, dust}} (\nu/230\text{ GHz})^{2+\beta} = F_{230\text{ GHz, dust}} (\nu/230\text{ GHz})^3,$$

(2)
where $\beta = 1$ (e.g., Beckwith et al. 1990). Other values of $\beta$ cannot be ruled out based on our data for most objects, and $\beta = 0$, corresponding to emission from optically thick or large-grained dust, is typically compatible with the data.

We estimate the relative contributions of dust and free-free emission by fitting this model, $F_\nu = F_{\nu,\text{dust}} + F_{\nu,\text{free-free}}$, to our measured 1.3 mm fluxes and to 880 $\mu$m, 3 mm, 3.6 mm, 1.3 cm, 2 cm, 6 cm, and 20 cm fluxes from the literature. For comparison, we also fit a dust-only model, described by equation (2), with $\beta = 1$ and $\beta = 0$. For objects detected at centimeter wavelengths, we fit the dust+free-free model to the flux measurements for each source, and thus we are able to determine the three free parameters of the model, $\nu_{\text{turn}}, F_{\nu,\text{turn}}$, and $F_{\nu,\text{dust}}$. For sources with $\leq 3$ flux measurements (i.e., those undetected in centimeter-wavelength surveys), we fit only the dust-emission model to the data.

Given the noise level of previous centimeter observations covering the entire region of our 1 mm mosaic ($\sim 0.3$ mJy; Felli et al. 1993a, 1993b) and the measured 1 mm fluxes for detected objects ($\geq 10$ mJy), sources undetected at centimeter wavelengths are probably dominated by dust emission. For a source with 10 mJy flux at 1 mm, a nondetection at 10 cm implies that $\leq 0.2$ mJy, or $\leq 2\%$, of the measured 1 mm flux is due to free-free emission. For simplicity, we attribute 100% of the 1 mm fluxes to dust emission for these objects.

Fluxes from submillimeter to radio wavelengths, and models are plotted in Figure 6, and the fluxes due to thermal dust emission are listed in Table 2. Uncertainties for these dust fluxes are given by the 1 $\sigma$ uncertainties of the model fits. The majority of detected sources appear to be dominated by dust emission. However, for the subset of the sample seen in optical emission or absorption with HST (the proplyds at the top of Table 1), the 1 mm fluxes are dominated by free-free emission. This probably reflects the relative proximity of proplyds to the luminous Trapezium stars.

### 3.4. Estimating Circumstellar Dust Masses

The mass of circumstellar dust is related to the component of the 1 mm continuum flux due to dust emission. Assuming the dust is optically thin and following Hildebrand (1983),

$$M_{\text{dust}} = \frac{S_{\nu,\text{dust}} d^2}{\kappa_{\nu,\text{dust}} B_\nu(T_{\text{dust}})}.$$  

Here, $\nu$ is the observed frequency, $S_{\nu,\text{dust}}$ is the observed flux due to cool dust, $d$ is the distance to the source, $\kappa_{\nu,\text{dust}} = \kappa_0 (\nu/\nu_0)^\beta$ is the dust-mass opacity, $T_{\text{dust}}$ is the dust temperature, and $B_\nu$ is the Planck function. We assume that $d \approx 400$ pc, $\kappa_0 = 0.0002$ cm$^2$ g$^{-1}$ at 1.3 mm, $\beta = 1.0$ (Hildebrand 1983; Beckwith et al. 1990), and $T_{\text{dust}} = 20$ K (based on the average dust temperature inferred for Taurus; Andrews & Williams 2005; see also the discussion in Carpenter 2002; Williams et al. 2005). The dust mass can be converted into a total circumstellar mass by assuming the canonical gas-to-dust mass ratio, $M_{\text{circumstellar}} = M_{\text{dust}} \times 100$. Column (3) of Table 2 lists the estimated circumstellar masses for detected objects.

Uncertainties in the assumed values of these parameters (notably $\kappa$) lead to uncertainties in the derived masses (in an absolute sense) of at least a factor of 3 (e.g., Pollack et al. 1994), which are not included in the uncertainties listed in the table. Values of $\kappa_{\nu,\text{dust}}$ and $T_{\text{dust}}$ may also vary across our sample. Since the cluster population in Orion is roughly coeval (e.g., Hillenbrand 1997), such effects should be minimal. However, there is some spread in stellar masses, which may lead to some range in these parameters. For example, since some of the objects in Table 1 may be massive stars, the millimeter flux may contain contributions from dust hotter than the assumed 20 K; if $T_{\text{dust}} = 30$ K, then the computed dust masses would be lower by a factor of 1.6. For the predominantly low-mass cluster population (Hillenbrand...
Using disk sizes measured either from our observations,

| ID          | $S_{\nu,\text{dust}}$ (mJy) | $M_{\text{circumstellar}}$ ($M_\odot$) | $R_{\text{disk}}$ (AU) | $S_{\nu,\tau \geq 1}$ (mJy) |
|-------------|-----------------|-------------------------------------|-----------------|-----------------|
| 147-323     | 7.5 ± 2.2       | 0.009 ± 0.003                       | 88              | 83              |
| 155-338     | 4.0 ± 4.0       | 0.005 ± 0.005                       | 102             | 112             |
| 158-323     | 1.0 ± 1.0       | 0.001 ± 0.001                       | 105             | 119             |
| 158-327     | 5.0 ± 4.0       | 0.006 ± 0.005                       | 122             | 161             |
| 159-350     | 33.0 ± 7.0      | 0.042 ± 0.009                       | 152             | 250             |
| 163-317     | 6.0 ± 2.0       | 0.008 ± 0.003                       | 93              | 93              |
| 167-317     | 2.0 ± 2.0       | 0.003 ± 0.003                       | 122             | 161             |
| 168-326NS   | 7.0 ± 4.0       | 0.009 ± 0.005                       | <100            | <108            |
| 170-337     | 10.0 ± 2.5      | 0.013 ± 0.003                       | 126             | 171             |
| 171-340     | 13.0 ± 2.3      | 0.016 ± 0.003                       | 80              | 69              |
| 177-341     | 4.0 ± 4.0       | 0.005 ± 0.005                       | 177             | 339             |
| HC 180      | 10.7 ± 3.0      | 0.013 ± 0.004                       | <100            | <108            |
| HC 189      | 99.5 ± 8.4      | 0.125 ± 0.011                       | <100            | <108            |
| HC 246      | 17.8 ± 2.4      | 0.022 ± 0.003                       | <100            | <108            |
| HC 254      | 17.7 ± 3.8      | 0.022 ± 0.005                       | <100            | <108            |
| HC 295      | 8.0 ± 3.5       | 0.010 ± 0.004                       | 187             | 381             |
| HC 336      | 0.0 ± 0.0       | 0.000 ± 0.000                       | <100            | <108            |
| HC 350      | 5.0 ± 3.5       | 0.006 ± 0.004                       | <100            | <108            |
| HC 351      | 8.7 ± 2.8       | 0.011 ± 0.003                       | <100            | <108            |
| HC 361      | 19.2 ± 3.2      | 0.024 ± 0.004                       | <100            | <108            |
| HC 383      | 7.0 ± 2.3       | 0.009 ± 0.003                       | 202             | 441             |
| HC 401      | 7.3 ± 2.1       | 0.009 ± 0.003                       | <100            | <108            |
| HC 412      | 7.7 ± 2.3       | 0.010 ± 0.003                       | 161             | 283             |
| HC 414      | 3.0 ± 3.0       | 0.004 ± 0.004                       | <100            | <108            |
| HC 418      | 7.6 ± 2.5       | 0.010 ± 0.003                       | <100            | <108            |
| HC 436      | 1.0 ± 1.0       | 0.001 ± 0.001                       | <100            | <108            |
| HC 438      | 67.8 ± 14.2     | 0.085 ± 0.018                       | 200             | 433             |
| HC 440      | 13.0 ± 2.8      | 0.016 ± 0.004                       | <100            | <108            |
| HC 495      | 22.1 ± 6.6      | 0.028 ± 0.008                       | <100            | <108            |
| HC 498      | 15.3 ± 4.6      | 0.019 ± 0.006                       | <100            | <108            |
| HC 514      | 23.7 ± 7.4      | 0.030 ± 0.009                       | 166             | 299             |
| HC 771      | 161 ± 4.9       | 0.020 ± 0.006                       | 176             | 337             |
| LMLA 162    | 103 ± 7.2       | 0.130 ± 0.009                       | <100            | <108            |
| MM8         | 407 ± 27.5      | 0.512 ± 0.035                       | <100            | <108            |
| MM13        | 317.5 ± 25.1    | 0.399 ± 0.032                       | <100            | <108            |
| MM21        | 153.6 ± 13.2    | 0.193 ± 0.017                       | <100            | <108            |
| MM22        | 123.0 ± 12.7    | 0.155 ± 0.016                       | <100            | <108            |
| MM23        | 61.2 ± 7.4      | 0.077 ± 0.009                       | <100            | <108            |
| MM24        | 1673 ± 27.0     | 0.211 ± 0.034                       | 217             | 514             |

Notes.—$S_{\nu,\text{dust}}$ is the component of the observed 1.3 mm emission due to cool dust, determined from a fit to long-wavelength fluxes of a model including thermal free-free emission as well as dust emission (see Fig. 6). Quoted uncertainties are 1σ and do not include systematic uncertainties associated with the overall flux calibration or conversion from flux to mass.

We perform a simple test to determine whether the optical depth ($\tau$) might become comparable to or larger than unity in the systems under study. Using disk sizes measured either from our data or HST data (Vicente & Alves 2005), or limits on disk sizes from our observations, we compute the emission expected from optically thick dust with a temperature of 20 K:

$$F_{\nu,\tau \geq 1} = B_{\nu}(T_{\text{dust}})\pi \frac{R_{\text{disk}}}{d} \cos \approx 112 \text{ mJy} \left(\frac{R_{\text{disk}}}{100 \text{ AU}}\right)^2.$$

With the large number of young stars contained within our mosaic, we can enhance the effective sensitivity by considering the ensemble of ~225 sources not detected individually. For each known cluster member within the mosaic that is not detected above the 3σ noise level, we make a $10^9 \times 10^7$ source subimage centered on the stellar position. We weight the subimage by the local rms (determined as described in §3.1), sum all of the weighted images, and divide by the sum of the weights to normalize. We exclude any cluster members known to have radio-wavelength emission (Felli et al. 1993a, 1993b).

The weighted image is shown in Figure 7. The average flux for the ensemble of nondetected sources is 0.9 ± 0.2 mJy, with a significance of >4σ. The peak flux is centered on the mean position of the near-IR sources (within the positional uncertainties of ~0.4″), and resembles the synthesized beam core, indicating that the average source is compact.

Since the positional uncertainties are comparable to the half-width at half-maximum of the synthesized beam, the average flux seen in Figure 7 may be slightly reduced because different sources in the ensemble do not lie exactly atop one another. Assuming the positional uncertainties are random and Gaussian distributed, one would expect a reduction in the measured average flux of ~35%. Correcting for the potential flux smearing, one would obtain an average flux for the ensemble of 1.2 ± 0.2 mJy. We verify this by integrating the central region of the average image over a region with 4 times the area of the synthesized beam; as expected, we find an integrated flux of ~1.2 mJy.

Low-level free-free emission may contaminate the average image and hence bias the average flux inferred for the ensemble. The 1σ sensitivity in centimeter-wavelength surveys is ~0.3 mJy (Felli et al. 1993b). We argued in §3.3 that gaseous winds in the ONC are likely to be optically thin to free-free emission, and hence that $F_{\nu,\tau} \propto \nu^{-1}$. Thus, we would expect free-free emission to be no stronger than ~0.2 mJy at 1 mm wavelengths for sources undetected in centimeter-wavelength surveys. This is comparable to the 1σ sensitivity in our 1.3 mm average image.
Since the average image is detected above the 4 σ level, >75% of the average flux comes from dust.

4. DISCUSSION

4.1. Nature of Detected Sources

The subarcsecond resolution of the CARMA observations is enough to marginally resolve some of the detected sources in the ONC, and in principle we could observe flattened, disklike geometries. For example, Figure 8 shows that 177-341 has a disklike morphology aligned with the silhouette disk seen by HST. While only a few sources can be well resolved with our observations, HST observations show that many of the observed proplyds appear disklike (McCaughrean & O'Dell 1996; Bally et al. 1998a), with some even exhibiting silhouette disks (Bally et al. 2000). For the proplyds and well-resolved millimeter sources, the 1 mm emission evidently arises from disklike distributions.

Mid-IR emission is also observed toward many of the sources detected at 1 mm. 82% of sources (all except the "MM" sources and HC 495) are also seen at 3.6 μm (Lada et al. 2004), and 48% are seen at 11.7 μm (Smith et al. 2005). While 3.6 μm emission may trace stellar photospheres and/or infrared excess, the 11.7 μm emission provides direct evidence for circumstellar material at least out to radii of a few AU. Thus, many detected sources (the
Fig. 7.—Average image, obtained by stacking the 1 mm continuum emission observed toward each of 226 low-mass near-IR sources not detected individually above the 3 $\sigma$ level. Contour levels begin at $\pm 2\,\sigma$, and the contour interval is $1\,\sigma$ (negative contours are shown as dotted lines). Emission is detected for the ensemble at a significance of $\gtrsim 4\,\sigma$ and exhibits a compact (and beamlike) morphology approximately centered on the origin. The degree to which the emission is smeared out is consistent with the $\sim 0.4''$ positional errors in the near-IR source positions.

Fig. 8.—Contour image of the 1.3 mm wavelength continuum emission toward the protostar 177-341 overlaid on an HST map (Bally et al. 2000) of the same position. Positive contours are solid white curves, and negative contours are dashed black curves. Contours are $\pm 2$, 4, and 6 $\sigma$. The FWHM of the synthesized beam is shown as a filled black oval.
majority, if the “MM” objects are excluded) have evidence of inner circumstellar disks.

More generally, where 1 mm emission is detected toward known near-IR cluster members, the fact that the near-IR light is visible despite the high extinctions ($A_V \gtrsim 300$) that one would derive based on the amount of material needed to produce the 1 mm emission (for spherically distributed material) implies that the dust lies in flattened, disklike distributions (see also, e.g., Beckwith et al. 1990; Eisner & Carpenter 2003).

It is interesting to speculate as to the nature of sources detected at HKL bands and at millimeter wavelengths, but not at 11.7 $\mu$m. Of millimeter and near-IR detected sources, 13/32 (40%) fall into this category. It is possible that some of these are transitional disks. The HKL emission may trace the stellar photosphere of a late-type star while the millimeter emission traces a remnant outer disk, but large inner clearings may lead to a lack of mid-IR excess. Better coverage of the wavelength range between 10 $\mu$m and 1 mm is needed to test this hypothesis.

For sources without near-IR detections, the “MM” sources in Table 1, the arguments presented above do not apply. Although the emission appears to trace circumstellar dust, the fact that no near-IR counterparts are observed suggests high columns of obscuring material. The MM sources all lack mid-IR counterparts as well. These objects appear to be so embedded that they are still highly obscured even at 11.7 $\mu$m. All of the MM sources reside in either the Orion BN/KL or OMC1-S region, both of which are known to contain young, embedded sources, H II regions, and outflows (e.g., Zиyurs et al. 1990; Bachiller 1996; Zapata et al. 2004).

All of the sources in OMC1-S (LMLA 162, MM8, MM13, MM21, and MM22) have been detected at 1.3 mm wavelength in previous observations (Zapata et al. 2005, 2007). Measured fluxes are similar to those listed in Table 1, but somewhat lower in most cases, presumably because the poorer $u$-$v$ coverage did not allow large negative sidelobe contributions from extended emission to be fully removed. All of these objects appear to drive molecular outflows traced by CO or SiO emission (Zapata et al. 2005, 2006).

We classify the MM sources as candidate Class 0 or Class I protostars. As discussed above, it appears that the 1.3 mm emission from at least some of these sources may trace dust hotter than 20 K. Such warm dust is expected in the circumstellar environments of massive protostars, suggesting that some of the MM sources trace high-mass protostars.

Several sources detected in previous surveys were not detected here. HC 178, HC 192, HC 282, MM3, MM4, MM10, MM15, MM16, MM19, and MM20 should have been detected if their 3 mm fluxes (Eisner & Carpenter 2006) traced dust emission; however, they would not have been detected if the objects exhibited flat spectra (e.g., from free-free emission). MM7, MM17, and MM18 should have been detected even if they showed flat spectra. We detect a 1.3 mm continuum source (MM21) near HC 178, but find it to be offset by more than the relative positional uncertainties, suggesting that the previous association of HC 178 with a 3 mm source was mistaken. The other 3 mm objects trace either nondust, potentially time-variable emission, or are spurious, caused by confusion with the BN/KL and OMC1-S regions in which they reside. Because our 1 mm observations have $u$-$v$ coverage far superior to previous observations, they are less prone to such spurious detections. One source detected by Williams et al. (2005) at 880 $\mu$m (171-334) is not detected at 1.3 mm; if the emission comes from small-grained dust, then the expected 1.3 mm flux is comparable to our 3 $\sigma$ noise level, and hence a nondetection is unsurprising.

4.2. Frequency of Massive Disks

We detected 39 sources in our 1 mm mosaics (excluding the BN object). Of these, 32 correspond to (presumed) low-mass near-IR cluster members, and 6 (the “MM” sources) are detected only at $\gtrsim$1 mm wavelengths. The remaining detection, LMLA 162, while not listed as a near-IR source in Hillenbrand & Carpenter (2000), is seen at 3.6 $\mu$m (Lada et al. 2004); examination of an archival 2MASS image shows a weak 2 $\mu$m source at this position as well. Since the millimeter-only detections are probably embedded, possibly spherical, protostellar objects (§ 4.1), we exclude these from our discussion of disk statistics. Of the remaining 33 detections, 100% of the 1 mm emission can be attributed to hot gas (free-free) for 6 sources. Thus, we are left with 27 sources whose 1 mm emission (probably) traces dust in protoplanetary disks.

Since the noise varies across our images, these 27 sources are all detected above slightly different thresholds. To examine the frequency of disks more massive than some value, we make sensitivity cuts at various levels, examining only the statistics of sources detected above chosen noise levels.

We consider first the 115 cluster members surveyed to a 1 $\sigma$ noise level of 2.7 mJy or less. Sources detected above 3 $\sigma$ have a circumstellar (dust+gas) mass of $\gtrsim$0.01 $M_\odot$. Nine sources (8%) show dust emission of $\gtrsim$8.1 mJy (i.e., 3 $\sigma$ detections at this noise level). If we use a higher noise cutoff of 5 mJy, then we find that 7 out of 193 stars exhibit dust emission above the 3 $\sigma$ level of 15 mJy. So, $\sim$4% of stars have disks more massive than 0.02 $M_\odot$. If we extend the sensitivity cutoff further, to 10 mJy, then 3/254 or 1% of stars are seen with disks more massive than 0.04 $M_\odot$. All of the 3 $\sigma$ mass levels considered here fall within the range of estimates for the MMSN (0.01–0.1 $M_\odot$; Weidenschilling 1977).

The percentage of high-mass disks derived here can be compared to that determined by Eisner & Carpenter (2006). The observations presented here are substantially more sensitive than previous observations, and we probe the frequency of disks down to lower mass levels; we can therefore only compare statistics for the most massive disks in our sample. Eisner & Carpenter (2006) found that $\lesssim$2% of cluster members in the ONC have disks more massive than 0.1 $M_\odot$. They assumed a distance of 480 pc; their mass limit is actually only 0.07 $M_\odot$ for the distance of 400 pc assumed here. Here, we find that $\lesssim$1% of stars surveyed are surrounded by such massive disks, consistent with the estimate from Eisner & Carpenter (2006).

We emphasize that results presented above (and in the following sections) depend on the conversion of 1.3 mm flux into mass. As discussed in § 3.4, there may be some spread in the dust properties of our sample that could lead to variations in the derived circumstellar masses. For the roughly coeval, predominantly low-mass cluster population in the ONC, we argued that this is a relatively small uncertainty.

4.3. A Typical Disk in the ONC

We computed the average flux for the ensemble of nondetected sources in § 3.6. The average flux indicates that a “typical” nondetected source in the ONC likely possesses a disk with a mass of 0.0015 $\pm$ 0.0003 $M_\odot$. If we include detected objects (whose dust fluxes are listed in Table 2) in the ensemble, we find that the average disk mass for near-IR cluster members in the region is $\sim$0.0027 $\pm$ 0.0002 $M_\odot$.

This is comparable to the average mass determined for 23 protolyds in the ONC at 880 $\mu$m (Williams et al. 2005), but substantially lower than the average mass determined for >300 stars in archival 2MASS images. However, the average mass per enclosed core mass is lower for the protolyds than for ONC objects in archival 2MASS images, consistent with the lower disk mass determined above.

From the average fluxes, the average mass of the disk is $\sim$0.01 $M_\odot$. The submm mass on the other hand is $\sim$0.1 $M_\odot$. So, the submm mass is actually about 10 times larger than the average mass. Most of this mass is almost certainly gas, which is often not considered in disk mass estimates. This is consistent with the average mass for near-IR cluster members being $\sim$0.04 $M_\odot$ after 10 mJy sensitivity cuts.
at 3 mm wavelengths, $0.005 \pm 0.001 M_\odot$ (Eisner & Carpenter 2006). The discrepancy can be explained in large part by contamination from free-free emission. Because the inferred dust mass is proportional to $\lambda^3 S_\nu$ (eq. [3]), this contamination has a much greater effect on the masses inferred from the 3 mm data than on our estimates based on 1 mm data. The dust mass attributed to free-free emission is $(2.3)^3 \approx 12$ times larger at 3 mm than at 1.3 mm. If free-free emission is present at the $\leq 0.2$ mJy level (§3.3), it would add $\leq 0.003 M_\odot$ to the average mass inferred at 3 mm. Furthermore, if we recompute the mean disk mass from Eisner & Carpenter (2006) using a distance of 400 pc, the average mass is decreased by 30%. With the distance correction and the subtraction of potential free-free contamination, the re-computed average mass from Eisner & Carpenter (2006) is $\geq 0.001 M_\odot$, in agreement with the estimated average mass inferred from our 1 mm observations.

4.4. Comparison of Disk and Exoplanet Frequencies

Less than 10% of stars in the ONC possess disks comparable to the MMSN (§4.2). Moreover, the average mass measured for the ensemble of (individually) nondetected sources is 10 times smaller than even the low end of estimates for the MMSN (§4.3), indicating that the majority of stars do not possess enough mass to form Jupiter-mass planets.

These statistics can be compared with the frequency of Jupiter-mass planets found around nearby main-sequence stars. Of stars surveyed, 6% have a Jupiter-mass (or larger) planet within 5 AU, while an extrapolation based on current results suggests that up to 10% of stars could have a Jupiter-mass planet within 20 AU (Marcy et al. 2005). The frequency of massive planets is comparable to the frequency of disks in the ONC with (low-end) minimum-mass solar nebulae. It appears that the MMSN, applied to disk-mass measurements like those presented here, is a reasonable criterion for forming massive, Jupiter-like planets in typical star-forming regions like Orion.

4.5. Disk Evolution

The frequency of massive disks in the ONC (aged ~1 Myr) can be compared with surveys of rich clusters of different ages, NGC 2024 (aged ~0.3 Myr) and IC 348 (aged ~2 Myr), to constrain the evolution of disks in clustered star-forming environments. While this comparison has been made previously using 3 mm observations (e.g., Eisner & Carpenter 2006), our 1 mm measurements are less contaminated by free-free emission and yield different results (§4.3). Although the surveys of NGC 2024 and IC 348 were at 3 mm, the lack of O stars in those regions should produce less ionized gas, and hence less contamination by free-free emission than in the ONC.

The average disk masses for “typical” low-mass stars in the three regions are plotted as functions of cluster age in Figure 9. For the ONC, we infer a mean disk mass of $0.0027 \pm 0.0002 M_\odot$ (§4.3). In NGC 2024, the mean disk mass is $0.005 \pm 0.001 M_\odot$ (Eisner & Carpenter 2003), compared to $0.002 \pm 0.001 M_\odot$ in IC 348 (Carpenter 2002). If the differences between NGC 2024, the ONC, and IC 348 are due to temporal evolution, these observations suggest that massive disks/envelopes dissipate on timescales $\leq 1$ Myr, and that the average disk mass decreases by a factor of $1.9 \pm 0.4$ between $\sim 0.3$ and 1 Myr.

4.6. Dependence of Disk Properties on Environment

It has been suggested that circumstellar disks in clustered environments may be truncated due to close encounters with massive stars, resulting in either tidal stripping or photoevaporation of outer disk material (e.g., Scally & Clarke 2001). Indeed, photo-toeovaporative mass loss has been observed from many proplyds, suggesting mass-loss rates as high as $10^{-7} – 10^{-6} M_\odot \text{yr}^{-1}$ (e.g., Henney & O’Dell 1999), which would severely deplete the masses of disks over the ~1 Myr lifetime of the cluster. More detailed models have shown that the mass-loss rate should be substantially lower for disks with smaller outer radii, since disk material at smaller radii is more tightly gravitationally bound (Clarke 2007). A prediction of these models is that larger disks will also be the most massive, since they have to withstand higher photo-evaporative mass-loss rates.

The proplyds detected in our observations are in the top ~1/3 of the size distribution inferred by Vicente & Alves (2005). However, the emission from most of these is dominated by free-free emission, and even for objects where some component of the flux is due to dust, inferred masses are $\leq 0.01 M_\odot$. Furthermore, there are many other proplyds whose diameters are in the top 30% that are not detected in our observations. We also see no obvious trend of increasing flux with increasing angular size in our data (Table 2). Thus, we find little evidence that the most extended disks are the most massive.

Environmental effects on massive disks can also be investigated through the dependence of disk properties on cluster radius. We consider the positions of the disks detected in our observations (i.e., detected sources corresponding to known near-IR cluster member positions) relative to the cluster center, which we define to lie roughly in the middle of the four bright Trapezium stars at $(\alpha, \delta)_{J2000.0} = (5^h35^m16.3^s, -5^\circ23'15.6'')$. Figure 10 shows that more massive disks tend to be found farther away from the Trapezium stars. If we consider only those 194 cluster members where we could have detected disks more massive than 0.02 $M_\odot$ above the 3 $\sigma$ noise level, we find disks around 1/84 stars (~1%) within 30'' and 6/110 stars (~5%) at radii larger than 30''. Fisher’s exact test indicates an 86% probability (1.5 $\sigma$) that the small and large cluster radii sources have different frequencies of massive disks.
Finally, comparison of the ONC with the lower stellar density Taurus region provides another test of whether the massive O stars and high stellar density in the Trapezium region lead to different disk properties than in more “benign” environments. As discussed in § 4.2, we detected disks more massive than 0.01 \( M_\odot \) around 9/115 (~8%) low-mass ONC cluster members. For comparison, 34/153 (~22%) of Taurus stars possess such massive disks (Andrews & Williams 2005). Fisher’s exact test yields a >99% probability (3 \( \sigma \)) that the frequencies of 0.01 \( M_\odot \) disks in Taurus and the ONC are different. For a slightly higher mass cutoff of 0.04 \( M_\odot \), such massive disks are found around <1% of stars in the ONC, compared to ~5% for Taurus. These percentages indicate a >99% probability that the underlying distribution of 0.04 \( M_\odot \) disks in Taurus and the ONC differ. The fraction of approximately MMSN-mass disks in Orion is substantially smaller than in Taurus, substantiating the hypothesis that the rich cluster environment may play a role in limiting the number of massive disks.

This conclusion differs from that of Eisner & Carpenter (2006), where the statistics of disks more massive than 0.1 \( M_\odot \) were found to be statistically indistinguishable in Taurus and the ONC. Using the revised distance of 400 pc changes the conclusion of Eisner & Carpenter (2006) because if statistics of (distance-corrected) 0.07 \( M_\odot \) disks are compared, they are found to be substantially more common in Taurus ( Fisher’s exact test indicates only an ~1.3% probability that the two distributions are the same). Furthermore, the 1 mm observations presented here are sensitive to much more of the disk-mass distribution, allowing a more robust comparison between Taurus and the ONC.

4.7. Correlation of Circumstellar and Stellar Masses

Several spectroscopic surveys have provided accurate masses for a subset of the stellar population encompassed by our mosaics (Hillenbrand 1997; Luhman et al. 2000; Slesnick et al. 2004). By examining these surveys, after registration of the positions of detected sources to the 2MASS grid, we find ~130 objects with spectroscopically determined masses within the unit-gain contour of our mosaic. While the stellar masses of the remaining cluster members contained in our mosaic have been estimated statistically by dereddening stars so that they fall on the expected isochrone for the ONC (Hillenbrand & Carpenter 2000), the masses of individual stars determined in this way have large uncertainties, and we do not use them here.

To examine how disk mass depends on stellar mass, we divide the ~130 sources with spectroscopically determined masses into three mass bins containing roughly equal numbers of stars. The first bin contains stars less massive than 0.3 \( M_\odot \), the second bin includes stars with masses between 0.3 and 1.0 \( M_\odot \), and the third bin contains stars with masses between 1.0 and 10.0 \( M_\odot \). We then make a further cut by excluding all objects for which the noise in our 1 mm mosaic at the source position is greater than some cutoff value. As in § 4.2, we consider a noise cutoff of 2.7 mJy, which provides a corresponding 3 \( \sigma \) circumstellar-mass threshold of 0.01 \( M_\odot \). Ideally, we would also bin this sample by cluster radius to control for potential mass segregation in the inner regions of the ONC (e.g., Hillenbrand 1997). Unfortunately, we lack a sufficiently large sample to do this here.

If we use the raw image fluxes (Table 1), we find more sources detected in the highest stellar-mass bin. For 65 stars with spectroscopically determined masses, surveyed with a noise level of 2.7 mJy or lower, we detect 1/21 (5%) stars with \( M_* < 0.3 \) \( M_\odot \), 2/24 (8%) stars with \( 0.3 \) \( M_\odot < M_* < 1 \) \( M_\odot \), and 6/20 (30%) stars with \( M_* > 1 \) \( M_\odot \). However, the higher percentage of detected sources in the highest stellar-mass bin is due entirely to contamination by free-free emission: if we use dust fluxes from Table 2, then 0/20 stars in the highest stellar-mass bin are detected. We infer, therefore, that higher mass stars are more likely to exhibit free-free emission.

In contrast, it seems that more massive stars may be less likely to possess massive circumstellar disks. Using the dust fluxes from Table 2, we find that out of the 65 stars discussed above, we detect dust emission above the 3 \( \sigma \) level toward 1/21 (5%) stars with \( M_* < 0.3 \) \( M_\odot \), 2/24 (8%) stars with \( 0.3 \) \( M_\odot < M_* < 1 \) \( M_\odot \), and 0/20 (0%) stars with \( M_* > 1 \) \( M_\odot \). This suggests a lower frequency of disks around stars more massive than 1 \( M_\odot \),
but these small-number statistics do not allow a definite conclusion. A plot of inferred circumstellar disk masses versus stellar masses (where available) supports the hypothesis that the most massive disks are found around the lowest mass stars. This trend is not, however, statistically significant for the small number of objects in Figure 11. A similar picture was seen in Taurus (Andrews & Williams 2005), but no correlation between stellar mass and disk mass could be established, although the most massive disks were found around stars less massive than 1 $M_\odot$. We note that Natta et al. (2000) claimed to see a correlation between disk and stellar masses around early-type stars; however, the dispersion is large, and the significance of the trend is marginal.

5. CONCLUSIONS

We imaged a 2′ × 2′ region of the Orion Nebula Cluster in 1.3 mm wavelength continuum emission with CARMA and the SMA. Out of >250 known near-IR cluster members, we detected 1.3 mm emission above the 3 $\sigma$ noise level toward 33. In addition, we detected 1 mm emission above the 5 $\sigma$ noise level from six sources not associated with shorter wavelength counterparts. Several of these detected objects are spatially resolved with our observations, indicating sizes of ~250–450 AU.

Modeling of long-wavelength fluxes for our targets allowed separation of dust and free-free emission components in the measured fluxes. We showed that for the majority of detected sources, the 1 mm emission appears to trace warm, optically thin, circumstellar dust. However, for many of the proplyds, which are located close to the Trapezium stars, the millimeter-wavelength emission is dominated by thermal free-free emission from hot, ionized gas.

Dust masses inferred for detected sources range from 0.01 to 0.5 $M_\odot$. For the ~225 known near-IR cluster members not detected in our 1 mm observations, images toward the positions of near-IR stars were stacked to constrain the mean flux, and circumstellar mass of the ensemble. The average flux is detected at the >4 $\sigma$ confidence level and implies an average disk mass of ~0.001 $M_\odot$, approximately an order of magnitude smaller than the minimum-mass solar nebula. Even when detected sources are included, the average mass is <0.003 $M_\odot$. While the derived masses are uncertain by a factor of 3 or so (mostly due to uncertainties in the dust opacity), the range of possible average disk masses is still smaller than even the low end of estimates for the MMSN. A “typical” star in the ONC does not appear to possess sufficient mass in small dust grains to form Jupiter-mass (or larger) planets. Evidently, giant-planet formation is either advanced (having thus depleted the small dust grains in the disk) or impossible around most stars in the ONC.

We compared the average disk mass inferred for the ONC with similarly determined average masses in older and younger clusters. We find evidence for evolution of the dust (most likely depletion or agglomeration) on ~1 Myr timescales. Between ~0.3 and ~1 Myr, the average disk mass decreases by a factor of 1.9 ± 0.4.

The percentage of stars in Orion surrounded by disks more massive than the minimum-mass solar nebula is <10%. This is significantly lower than in Taurus, indicating that environment has an impact on the disk-mass distribution. Our data suggest (with marginal statistical significance) that the most massive disks may be located further from the Trapezium stars, supporting the hypothesis that photoevaporation may be truncating disks near to the cluster center.

Finally, our observations show no clear correlation between stellar mass and disk mass, but suggest that massive disks may be more likely to be found around lower mass stars. The percentage of detected disks is lower for stars more massive than 1 $M_\odot$, and the most massive disks detected are associated with the relatively low–stellar-mass stars in the sample. However, larger numbers of stellar- and disk-mass measurements in the ONC are needed to build up better statistics and further constrain the relationship between stellar and disk properties.

J. A. E. acknowledges support from a Miller Research Fellowship. The authors thank M. Wright for his assistance in simulating CARMA mosaics in order to choose the optimal mosaic spacings for the observations. This publication makes use of data products from the Two Micron All Sky Survey (2MASS), which is a joint project of the University of Massachusetts and the Infrared Processing and Analysis Center (IPAC), funded by NASA and the National Science Foundation. 2MASS science data and information services were provided by the Infrared Science Archive at IPAC. Support for CARMA construction was derived from the states of Illinois, California, and Maryland, the Gordon and Betty Moore Foundation, the Kenneth T. and Eileen L. Norris Foundation, the Associates of the California Institute of Technology, and the National Science Foundation. Ongoing CARMA development and operations are supported by the National Science Foundation under a cooperative agreement and by CARMA partner universities. The Submillimeter Array is a joint project between the Smithsonian Astrophysical Observatory and the Academia Sinica Institute of Astronomy and Astrophysics, and is funded by the Smithsonian Institution and the Academia Sinica.

APPENDIX

FREE-FREE EMISSION SPECTRUM FOR AN IONIZED WIND

We compute the spectrum expected for free-free emission from ionized gas whose density depends on stellocentric radius as

$$n_{\text{gas}} = n_0 (R/R_0)^{-\alpha}.$$  (A1)

For an ionized wind with constant $\dot{M}$, such as we expect for proplyds, $\alpha = 2$. However, massive stars may ionize their circumstellar environments directly, in which case the density distribution may differ from this $R^{-2}$ power law.

For a power-law density profile (eq. [A1]), the optical depth can be approximated as (e.g., Altenhoff et al. 1960)

$$\tau_{\nu,\lambda} \approx \int_{0}^{\infty} \frac{0.16 n_{\text{gas}}^2}{\nu^2 T_e^{1.35}} \frac{dz}{(x^2 + z^2)^{\alpha}}.$$  (A2)
Here, \( z \) is the line of sight through the ionized gas in pc, \( x \) is the impact parameter in pc, \( n_0 \) is the normalization of the gas density in \( \text{cm}^{-3} \) (assumed to represent the electron and ion densities), \( T_e \) is the electron temperature, and \( \nu \) is the frequency in GHz. This expression can be integrated directly as long as \( \alpha \geq 1.5 \), with the result

\[
\tau_{\nu, \text{ff}} \approx \frac{0.08n_0^2R_0^4}{\nu^2T_e^{3.5}} x^{-(2\alpha-1)} \frac{\pi(-1)^{\alpha-1} \Gamma(1/2)}{\sin(\pi/2)(\alpha - 1)!\Gamma[1/(2 - \alpha + 1)]}.
\]

(A3)

The last fraction has order unity, and we can thus approximate \( \tau \) as

\[
\tau_{\nu, \text{ff}} \approx \frac{0.08n_0^2R_0^4}{\nu^2T_e^{3.5}} x^{-(2\alpha - 1)}.
\]

(A4)

We can now invert equation (A4) to determine the maximum impact parameter for which \( \tau \geq 1 \),

\[
x_{\tau = 1} \approx \left( \frac{0.08n_0^2R_0^4}{\nu^2T_e^{3.5}} \right)^{1/2(\alpha - 1)}.
\]

(A5)

For impact parameters larger than \( x_{\tau = 1} \), the gas is optically thin, and at smaller impact parameters the gas is optically thick. The total spectrum of free-free emission from the source can be approximated by the blackbody flux times the solid angle of the optically thick region, as long as the optically thick region is finite. When the entire wind becomes optically thick, the spectrum flattens.

We can thus parameterize the free-emission spectrum from a wind as

\[
F_{\nu, \text{ff}} = \begin{cases} 
F_{\nu, \text{turn}}(\nu/\nu_{\text{turn}})^{-0.1} & \nu \geq \nu_{\text{turn}} \\
F_{\nu, \text{turn}}(\nu/\nu_{\text{turn}})^{(4\alpha-6.2)/(2\alpha-1)} & \nu \leq \nu_{\text{turn}}
\end{cases}
\]

(see Wright & Barlow 1975 for a somewhat different derivation of this result). For a spherical wind with constant \( \dot{M} \), \( \alpha = 2 \) and the optically thick material emits with \( \nu \propto \rho^{1/2} \). Steeper exponents can result if the ionized gas density drops off more steeply than \( R^{-2} \), for example, as might occur in a centrally illuminated wind from a massive star such as BN (e.g., Plambeck et al. 1995). Alternatively, nonspherical wind geometries can lead to shallower radial density profiles, and hence shallower spectral slopes of the free-free emission (Wright & Barlow 1975). For simplicity, since we generally have a limited number of data points with which to constrain the free-emission spectrum, we will assume that \( \alpha = 2 \) in the present analysis.

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