Species identification is critical to a wide range of biological research, including studies of evolution, conservation, and biodiversity. However, various operational criteria are used for species identification, depending on the species concept that is being invoked (de Queiroz 2007). Among the most widely used are the biological species concept, which is based on reproductive isolation (Mayr 1942; Dobzhansky 1950), and the phylogenetic species concept, which is based on reciprocal monophyly (Rosen 1979; Baum and Shaw 1995). In contrast, morphology-based taxonomy usually appeals to the phenetic species concept (Michener 1970; Sokal and Crovello 1970), which remains a key framework for species identification in practice.

The last decade has witnessed the growing availability of genetic methods for species identification, providing a valuable complement to morphological taxonomy. Some of the widely used approaches for validating putative species are based on comparison of intra- and interspecific genetic distances (Hebert et al. 2003, 2004; Mallo and Posada 2016). These methods are contentious, however, partly because they do not appeal to an explicit species concept (Rubinoff et al. 2006a, 2006b; Waugh 2007). By contrast, the goal of molecular species delimitation is to build a taxonomic scheme for a set of samples and to infer a de novo delimitation of operational taxonomic units (OTUs) (Tautz et al. 2003; Vogler and Monaghan 2007; Mallo and Posada 2016). Within this burgeoning field, most methods appeal to the phylogenetic species concept and identify minimal phylogenetic units as the OTUs (Goldstein et al. 2000). These methods include the generalized mixed Yule-coalescent (GMYC) model (Pons et al. 2006; Fujisawa and Barraclough 2013), Poisson tree processes (PTP) model (Zhang et al. 2013; Kapli et al. 2017), Bayes factor delimitation (Grummer et al. 2014; Leaché et al. 2014), Bayesian coalescent method in the software Bayesian Phylogenetics and Phylogeography (BPP) (Yang 2015), and phylogeographic inference using approximate likelihoods (Jackson et al. 2017). Molecular species delimitation has been employed either as a standalone method or as part of an integrative taxonomic approach to species identification (e.g., Bond and Stockman 2008; Hotaling et al. 2016; Mason et al. 2016).

Methods of molecular species delimitation differ from each other in a number of respects. Among the widely used methods, Automatic Barcode Gap Discovery (ABGD) is one of the most computationally efficient. It requires the a priori specification of an intraspecific distance threshold, and the method is based on genetic distances computed from a single locus rather than an explicit species concept (Puillandre et al. 2012). The GMYC method also analyzes data from a single locus, but requires an ultrametric estimate of the gene
tree. Studies have found that its performance is affected primarily by the ratio of population sizes to species divergence times, but also by varying population sizes, number of species involved, and number of sampling sites (Fujiyama and Barraclough 2013; Dellicour and Flot 2015; Ahrens et al. 2016). Empirical studies have shown that ABGD and GMYC tend to underestimate and oversplit species, respectively (e.g., Paz and Crawford 2012; Pentinsaari et al. 2017; Renner et al. 2017). As with GMYC, PTP requires an estimate of the gene tree, but with branch lengths proportional to the amount of genetic change rather than to time. It tends to outperform GMYC when interspecific distances are small (Zhang et al. 2013), though the two methods often produce similar estimates of species limits (e.g., Lang et al. 2015; Arrigoni et al. 2016; Wang et al. 2016). GMYC and PTP were originally designed for the analysis of single-locus data, but are often applied to concatenated multilocus data by postulating a shared genealogical history (e.g., Arrigoni et al. 2016; Nieto-Montes de Oca et al. 2017; Renner et al. 2017).

In contrast with the methods described above, the Bayesian method in BPP was designed to analyze multiple loci but is much more computationally intensive (Yang 2015). It performs well when appropriate priors are chosen, with low rates of false positives and false negatives under most evolutionary scenarios (Yang and Rannala 2010, 2014; Zhang et al. 2011, 2014).

Although the biological species concept provides the motivation for assuming limited gene flow between species, BPP appears to be robust to low levels of gene flow (Zhang et al. 2011). Studies with both simulated and empirical data have shown that BPP is more accurate than other multilocus coalescent methods (such as the information-theoretic and approximate Bayesian frameworks), while being somewhat sensitive to the number of loci and to the information content (Ence and Carstens 2011; Camargo et al. 2012; Hime et al. 2016). Empirical studies have also shown that BPP can produce delimitations that are consistent with those from other widely used methods such as GMYC and PTP (e.g., Hoppele et al. 2016; Prevísatl et al. 2016; Nieto-Montes de Oca et al. 2017). Species delimitations by BPP are used widely not only for explicit taxon identification, but also as an important procedure in analyses of taxon evolution and divergence (e.g., Ruane et al. 2014; Moritz et al. 2018).

Most genetic methods for species identification, especially those based on the phylogenetic species concept, do not explicitly account for the mode of speciation. There are three main modes of speciation that differ in terms of the assumed degree of gene flow: allopatric, parapatric, and sympatric speciation (Gavrilets 2003). In each case, the formation of incipient species is related to a reduction in gene flow, which is at the core of the biological species concept. Some view speciation as a gradual and protracted process independent of any species concept (Rosindell et al. 2010; Etienne et al. 2014). For these reasons, there appears to be a gap between what we would consider to be “good” species and the taxonomic units inferred by coalescent-based methods of molecular species delimitation. This can be addressed by examining the congruence between genetic divergence and speciation. Some methods, such as GMYC and PTP, assume that gene trees accurately reflect the diversification of species, whereas BPP acknowledges the possibility of discordance between the two (Yang and Rannala 2010). This discordance is presumed to be caused primarily by among-gene differences in lineage sorting, but it can also be due to systematic error (e.g., model misspecification) and stochastic error (e.g., sampling scheme) (Mallo et al. 2014; Mallo and Posada 2016). In this study, we compare the performance of three widely used methods of species delimitation, GMYC, PTP, and BPP, using both single-locus and multilocus sequence data generated by simulation under various speciation scenarios. We characterize the behavior of these methods, their delimitation efficacy, and their sensitivity to potential confounding factors. In addition, we validate some of the features of these methods in case studies involving sequence data from bears and bees. Our results provide practical guidelines for using molecular methods of species delimitation.

**MATERIALS AND METHODS**

**Models and Assumptions**

To examine the performance of species delimitation using GMYC, PTP, and BPP, we simulated the evolution of sequence data under five speciation scenarios (Fig. 1): 1) no speciation; 2) speciation into two species with cessation of gene flow; 3) speciation into two species with ongoing gene flow; 4) speciation into five species with ongoing gene flow; and 5) speciation into four species with ongoing gene flow. In each case, we assumed Wright–Fisher panmixia within each species. Scenario I is treated as the null case in this study. Scenario II can represent either allopatric or parapatric speciation, depending on the combination of population...
sizes between the two species. Scenario III involves reduced but ongoing gene flow, so it can be taken to represent either parapatric or sympatric speciation. Scenarios IV and V are extensions of Scenarios II and III, respectively; we chose to model the evolution of five and four species in these scenarios, to allow variation in the tree topology and for practical convenience. In these scenarios, speciation can also be regarded as the formation of separate populations, and migration as being interchangeable with other forms of gene flow (e.g., introgression). We assumed that all speciation events were bifurcating, and that all genes evolved neutrally without gene conversion, gene duplication, or horizontal transfer.

**Evolutionary Simulations**

Nucleotide sequence evolution was simulated under each of the five scenarios (Table 1), with assumptions of a constant rate of $10^{-8}$ mutations per site per generation and a generation time of 1 year. Owing to its convenience and versatility, we preferred to use SimPhy (Mallo et al. 2016) to generate the trees, where possible. The species tree was simulated first, and then we simulated the evolution of 100 independent gene trees conditioned on the species tree. For simulations that could not be performed using SimPhy, we used makesamples (Hudson 2002) to simulate the evolution of 100 gene trees based on each species tree that we specified.

Under each set of simulation conditions (see below; Table 1), we randomly subsampled varying numbers of gene trees ($l = 1, 2, 5, 10,$ and 20) from the 100 generated by SimPhy or makesamples. These correspond to varying numbers of loci, because each gene tree corresponds to the evolutionary history of a single locus. We performed the jackknifing procedure 10 times for each number of loci. For each sampled gene tree, we then used Seq-Gen v1.3.2 (Rambaut and Grassly 1997) to simulate the evolution of a sequence alignment of length 1000 bp, using the Jukes–Cantor model of nucleotide substitution (Jukes and Cantor 1969). An outgroup sequence was added to the sequence alignment for each of the five scenarios during simulation, but was removed for the species-delimitation analyses. All data generated by our simulations are available in Supplementary Material of this article available on Dryad at http://dx.doi.org/10.5061/dryad.793bs, Appendix S1.

**Scenario I.**—We began simulations with the null scenario of a single, unstructured population or species (Fig. 1a), under the classical Wright–Fisher model in makesamples. We set 15 combinations of sample sizes (i.e., the number of sampled individuals per species) and population sizes. Sample sizes ($n = 2, 4, 10, 20,$ and 40) were double those used in Scenario II (as appropriate for some methods of species delimitation), whereas population sizes ($N = 10^4, 10^5,$ and $10^6$) were consistent with the general settings used in Scenario II. After producing 10 replicates for each number of loci ($l = 1, 2, 5, 10,$ and 20), we had a total of 750 datasets.

**Scenario II.**—This scenario involves two reproductively isolated species with equal population sizes and with equal numbers of sampled individuals (Fig. 1b). In SimPhy, we chose: $n = 1, 2, 5, 10,$ and 20 samples per species (as appropriate for the relevant delimitation methods; Luo et al. 2015); population sizes of $N = 10^4, 10^5,$ and $10^6$ for each species; and divergence times of $t = 10^7, 10^8,$ and $10^9$ years between the two species. These yielded a total of 45 combinations of parameters. Larger population sizes and divergence times lead to greater genetic variation within species and between species, respectively; the ranges of values investigated in our study are generally consistent with the features of a broad range of eukaryotic species (Zhang et al. 2011; Fujisawa and Barraclough 2013). Taking into account the variation in the number of loci, our simulations produced a total of 2250 datasets. Based on the results from our analyses of these datasets, we chose the basic settings for the remaining simulations (including supplementary settings for BPP and variations of Scenario II). These results, together with those from Scenario I, provided benchmarks for interpreting the results from the other Scenarios and also informed the best strategy in PTP for analyzing our remaining data.

For species delimitation using BPP in particular, supplementary settings included: extreme population sizes and a certain number of loci.
sizes for each species \((N = 10^3\text{ and } 10^7)\), with species divergence time \(t = 10^6\text{ and } n = 1, 2, 5, 10, \text{ and } 20\) samples per species; and larger sample size \(n = 50\) with \(N = 10^6\text{ and } t = 10^3\). Unless otherwise noted, the simulations for Scenario II described below exclude the supplementary settings used for BPP.

In addition, we considered a series of variations of Scenario II, involving potential confounding factors that might influence species delimitations inferred by the three methods. These included: simulating sequence evolution using makesamples vs. SimPhy for the core settings in Scenario II, to evaluate the consistency of our methods; differing vs. equal population sizes for the two species; exponentially growing vs. constant-size populations; uneven sampling vs. equal sample sizes from the two species; and substitution rate heterogeneity across species, across loci, or across lineages (see Supplementary Appendix S2 available on Dryad for details).

Scenario III.—This scenario involves two sister species with ongoing gene flow (Fig. 1c). Gene flow is specified by the migration rate \(M_{ij}\). In makesamples, \(M_{ij} = 4N_i m_j\) \((i, j = 1, \ldots, \text{number of populations})\, \text{where } m_j \text{ is the fraction of population } j \text{ that is made up of migrants from population } i \text{ each generation, and } N_j \text{ is the size of population } i\). To test the effect of ongoing gene flow on species delimitation, we set \(M_{ij} = 0.1, 1, 10, 10^2, \text{ and } 10^3\), and assumed equal amounts of reciprocal gene flow. In light of the results from Scenario II and general applicability to most empirical studies, we set the population size of each species to \(N = 10^4\), the divergence time of the two species to \(t = 10^6\), and the sample size per species to \(n = 10\). These settings were combined with variation in the number of loci, as described above for Scenarios I and II.

Scenario IV.—We examined a four-species case in which speciation followed a Yule process (i.e., birth–death process with extinction rate zero; Yule 1924) (Fig. 1d), and considered a range of speciation rates \((r = 10^{-5}, 10^{-6}, 10^{-7}, \text{ and } 10^{-8}\) speciation events per year) for five species with the relationship \(((\text{A,B,C,D}))\). The most recent common ancestor of these species was set to \(10^7\) years before present, with each species having a population size \(N = 10^8\) and with \(n = 10\) samples per species. We used SimPhy to simulate speciation with a pure-birth process, conditioned on the crown age and the number of extant species (Hartmann et al. 2010). Under these constraints, higher speciation rates \((e.g., r = 10^{-5})\) tended to produce trees with internal nodes closer to the tips (Supplementary Appendix S3 available on Dryad). Based on these settings, we performed simulations with various numbers of loci.

Scenario V.—We examined a four-species case in which gene flow is conditioned on the geographic proximity of the species (Fig. 1e). The species have the relationship \(((\text{A,B,C,D}))\), and gene flow occurs reciprocally between A and B, between B and C, and between C and D. Rates of gene flow match those in Scenario III. In makesamples, we assumed that divergences between sister species A and B and between C and D occurred \(10^6\) years ago, and that the four species had their most recent common ancestor \(10^7\) years ago. Each species was assumed to have a population size of \(N = 10^4\), with \(n = 10\) samples per species. Under each set of conditions, we performed simulations with various numbers of loci. In addition to the complete datasets, sets of species pairs \((\text{A,B}), (\text{A,C}), (\text{A,D}), \text{ and } (\text{B,C})\) were extracted separately so that we could explicitly test the effect of geographic distance on species delimitation.

Species Delimitation

We performed species delimitation using three different methods: GMYC, PTP, and BPP. With the assumption that species are reciprocally monophyletic, GMYC uses a likelihood approach to identify the boundary between a Yule speciation process and intraspecific coalescence. This is done with reference to the relative node times in an ultrametric tree. To obtain these trees, we first inferred phylograms with maximum likelihood in RAxML v8.2.9 (Stamatakis 2014). We pruned non-unique sequences prior to phylogenetic inference, and conducted rapid full analyses with the Jukes–Cantor substitution model and 1000 bootstrap replicates. The phylograms were then made ultrametric through computing relative evolutionary times using the penalized-likelihood method in r8s v1.7 (Sanderson 2003), with a smoothing parameter of 10. Although a multiple-threshold version of GMYC has been developed (Monaghan et al. 2009), we only used the single-threshold version of GMYC because it has been shown to outperform the multiple-threshold version (Fusisawa and Barraclough 2013; Talavera et al. 2013). Species delimitation was done using the package splits v1.0-19 (Exard et al. 2009) in R (R Core Team 2016).

PTP identifies the transition points between inter- and intraspecific branching events. The method postulates that the number of substitutions between species is significantly higher than that within species, with any individual substitution having a low probability of causing speciation. The mean numbers of substitutions until speciation events and until coalescent events are expected to follow exponential distributions, forming two independent Poisson processes on the tree. Since PTP does not require an ultrametric tree, we directly used the phylograms inferred in RAxML as described above. We employed three strategies in PTP: PTP heuristic (PTP-h) v2.2, Bayesian PTP maximum likelihood (bPTP-ML) v0.51, and Bayesian PTP heuristic (bPTP-h) v0.51, but did not consider the most recently proposed strategy, multi-rate PTP (Kapli et al. 2017; but see Discussion). For bPTP-ML and bPTP-h, we carried out two independent Bayesian Markov chain Monte Carlo (MCMC) analyses,
with each chain having a length of \(10^6\) steps and the first 25% discarded as burn-in. After checking for
convergence between chains, we reported the results from
one of the two chains. For PTP-h, the minimal
branch length was set to \(10^{-6}\), with other parameters
left at their default values.

BPP delimits species in the multispecies coalescent
framework, which assumes that the gene trees evolve
within the constraints of the species tree (Rannala and
Yang 2003). It uses reversible-jump MCMC to
move between delimitation models while calculating
posterior probabilities. We used BPP v3.3a to analyze
our simulated single- and multilocus datasets based
on guide trees that matched those used for simulation.

Algorithms 0 and 1 (Yang and Rannala 2010) were used
in two independent runs with default parameters, with
each having \(10^6\) MCMC iterations following a discarded
burn-in of 10,000 iterations. We checked for convergence
between the two runs and combined the MCMC samples
posterior probabilities. We used BPP v3.3a to analyze
our simulated single- and multilocus datasets based
on guide trees that matched those used for simulation.

The three methods examined in this study produce
species delimitations in different forms. For species
delimitation using BPP, we recorded the posterior
probabilities of different delimitation models (e.g., \(P_1\)
for the one-species model and \(P_2\) for the two-species
model), and considered the rates of false positives and
false negatives. For the results from GMYC and PTP,
we based our evaluations on the most well supported
delimitations to capture the broad patterns.
However, we did not take into account the support
values for delimited entities, which should be considered
when the focus of the investigation is on particular taxa.
We calculated the number of delimited OTUs for
each simulated species where delimitations were available,
although this measure lacks the capacity to distinguish
between certain outcomes (e.g., it cannot differentiate
between the situations depicted in Fig. 2a,b, as illustrated
below).

To enable the results to be described in finer detail, we
used five categories to summarize the delimitations of
GMYC and PTP for every species pair (Fig. 2). Because
our focus is on the overall quality of delimitation rather
than the number of delimited OTUs, these categories
are largely intended to evaluate the performance of
GMYC and PTP. First, two species might be correctly
identified as two distinct OTUs ("correct delimitation").
Second, two species might be delimited to be a single
OTU ("false negative"). Third, at least one of the two
species might be inferred to be two or more OTUs that
are also distinct from the OTU(s) identified for the other
species ("false positive"). Fourth, at least one of the two
species is inferred to be two or more OTUs, but with
partial or total overlap with the OTU(s) identified for
the other species ("complex false positive"). These four
categories are similar, but not identical, to those defined
by Ratnasingham and Hebert (2013). A fifth category
comprises the cases in which we were unable to obtain
a species delimitation ("not available" or "NA").

GMYC and PTP can fail to yield a species delimitation
under various circumstances. Because the trees were
pruned so that they only contained unique sequences
prior to phylogenetic inference, maximum-likelihood
trees were unavailable for some datasets. This was
problematic for both GMYC and PTP. In addition, PTP-h
can fail to yield a definite species delimitation due to the
failure of the likelihood-ratio test, because we used the
default cut-off of \(P = 0.001\) (Zhang 2013). In some cases,
GMYC encountered computing errors, particularly for
datasets comprising fewer sequences. Trees with zero
branch lengths are actually compatible with PTP, but
for convenience we preferred to include NAs for PTP-h
and bPTP-ML. For delimitations inferred for data from
Scenario I, which involves a single species, we did not
consider false negatives and complex false positives.

![Figure 2](https://example.com/figure2.png)

**Figure 2.** An illustration of four categories used to classify the results of
our species delimitations, for every species pair, by the GMYC and
the PTP methods. Boxes with a and b represent individuals of simulated
species A and B, respectively, with additional individuals implied by
the ellipses. Black bars above the boxes denote delimitation results;
each bar indicates an OTU. Two illustrative examples each are given
for false positives and for complex false positives.

| Category               | Delimitation Examples |
|------------------------|-----------------------|
| a) Correct delimitation| a a a a a a a a a a |
| b) False negative      | a a a a a a a a b b |
| c) False positive       | a a a a a a a a b b |
| d) Complex false positive| a a a a a a a a b b |

These diagrams illustrate the four categories used to classify the results
of our species delimitations, for every species pair, by the GMYC and
the PTP methods. Boxes with a and b represent individuals of simulated
species A and B, respectively, with additional individuals implied by
the ellipses. Black bars above the boxes denote delimitation results;
each bar indicates an OTU. Two illustrative examples each are given
for false positives and for complex false positives.
5' terminus of the sequences of the canonical barcode region (i.e., the Supplementary Appendix S5 available on Dryad. Osmia of the genus deleting sequences containing large proportions of species delimitation with diffuse gamma priors likelihood tree was simply treated as the guide tree for used the inferred tree for species delimitation by GMYC, removing the outgroup sequence from the sloth bear, we with 1000 bootstrap replicates. After rooting the tree and model applied to each gene. We ran rapid full analyses + in RAxML, with a separate GTR \[ \text{I, substitution} \] of the absence of recombination in the mitochondrial genome.

Bears.—The genus Ursus (Carnivora: Ursidae) comprises both extant and extinct species of bears, for which the taxonomy is relatively uncontroversial. For this group, we obtained a total of 172 complete or partial mitochondrial genomes from GenBank (retrieved on 20 February, 2017) and extracted the 12 protein-coding genes (excluding ND6). The sloth bear (Melursus ursinus) was added as an outgroup to allow estimation of a rooted tree. After removing duplicate sequences and/or sequences containing large proportions of missing data, we aligned the sequences while maintaining the reading frames. Our dataset then comprised concatenated sequences of the 12 protein-coding genes from 89 taxa (Supplementary Appendix S4 available on Dryad).

We inferred the gene tree using maximum likelihood in RAxML, with a separate GTR+G+I substitution model applied to each gene. We ran rapid full analyses with 1000 bootstrap replicates. After rooting the tree and removing the outgroup sequence from the sloth bear, we used the inferred tree for species delimitation by GMYC, bPTP-h, bPTP-ML, and PTP-h. For BPP, the maximum-likelihood tree was simply treated as the guide tree for species delimitation with diffuse gamma priors \( \theta \sim \Gamma(1,500) \) and \( \tau \sim \Gamma(1,100) \).

Bees.—We tested the effects of locus number and sample size on species delimitation using sequence data from bees. This is a group of insects with important pollination services, but for which species diversity is relatively unclear. To test the impact of the number of loci, we downloaded a total of 38 complete or partial mitochondrial genomes of apis bees (Apidae; Hymenoptera: Apoidea) from GenBank (retrieved on 23 May, 2017). After removing duplicates and aligning the sequences, we used three datasets comprising 20 sequences of COI, 20 concatenated sequences of COI and CYTB, and 18 concatenated sequences of ATP6, COI, COII, COIII, CYTB, and ND1. Data are available in Supplementary Appendix S5 available on Dryad.

To test the impact of sample size, we downloaded sequences of the canonical barcode region (i.e., the 5’ terminus of the COI gene) from the mason bees of the genus Osmia (Apoidea: Megachilidae). After deleting sequences containing large proportions of missing data, pruning non-unique sequences, aligning the sequences, and removing species represented by fewer than five sequences, we were left with 69 sequences. In terms of species annotations, we randomly deleted some sequences to obtain two additional datasets: one comprising two sequences per species, and another comprising a single sequence per species (Supplementary Appendix S6 available on Dryad). To allow the position of the root to be inferred, corresponding genes or regions from Megachile sculpturalis (GenBank accession NC_028017) and/or Megachile strupigera (GenBank accession KT346366) were used as the outgroup for both apid bees and mason bees (Hedtke et al. 2013). Species delimitations with GMYC, bPTP-ML, and BPP were implemented in a similar manner to our analyses of bear sequences. For our BPP analyses, the maximum-likelihood tree inferred from the 69 sequences was used as the guide tree for the other two datasets of mason bees. To achieve MCMC convergence, we drew samples from \( 5 \times 10^6 \) MCMC steps rather than the \( 10^8 \) steps used in our other BPP analyses.

RESULTS

Simulation Scenario I: One Species

For the null case in which sequences were sampled from a single species, BPP generally yielded the correct delimitation with high posterior probabilities (median \( =0.99 \) and mean \( =0.93 \)) for the one-species model \( P_1 \), across various parameter combinations (Table 2; Supplementary Appendix S7 available on Dryad). In some instances, however, \( P_1 \) has extremely low values (min. = 0.00), whereas posterior probabilities for the two-species model \( P_2 \) are relatively high. To avoid species inflation (Carstens et al. 2013), we consider that BPP supports the existence of two species only if \( P_2 > 0.95 \) (Zhang et al. 2011). Therefore, the false-positive error rate is 1.73% for BPP, but is high for both GMYC and PTP (Tables 2 and 3; Supplementary Appendix S7 available on Dryad).

After excluding NAs, all of the delimitations by GMYC and PTP yielded false positives, indicating that both oversplit species under our null simulation scenario. However, they delimited varying numbers of OTUs. Given the available delimitations, GMYC inferred fewer OTUs (median = 2 and mean = 3.83) than PTP across all of the relevant simulation conditions. Among the three strategies of PTP, bPTP-h and PTP-h gave rise to smaller maximum numbers of delimited OTUs than did bPTP-ML, but bPTP-ML yielded fewer OTUs overall (median = 5 and mean = 8.44).

Simulation Scenario II: Two Species

With diffuse priors in BPP, \( P_2 \) for the two-species delimitation model approaches 1.00 under most conditions, yielding an average false-negative error rate of 14.40% (Fig. 3 and Table 2). With large divergence
times ($t = 10^6$ or $10^7$), $P_2$ is greater than 0.95 for almost all population sizes. When $t = 10^5$, the $P_2$ values show complex patterns: with smaller population sizes ($N = 10^4$ and $10^5$), $P_2$ is below 0.95 especially for smaller sample sizes ($n = 1$ and 2), but tends to increase with number of loci $l$; with a larger population size ($N = 10^6$), $P_2$ first decreases, then approaches 1.00 with larger values of $n$ and $l$.

The results from our BPP analyses of supplementary species ($N$, $t$) combinations ($10^4$, $10^5$) are similar to those from ($10^5$, $10^6$). Results from ($10^7$, $10^8$) are broadly consistent with those from ($10^6$, $10^7$), except for large values of $n$ and $l$ and some failures in MCMC convergence. Given that MCMC convergence was generally good in our BPP delimitations, here we only note the cases in which MCMC convergence was not achieved. With sample size $n = 50$ and ($N$, $t$) as ($10^4$, $10^5$), $P_2$ values are 1.00 across different values of $l$ (Supplementary Appendix S8 available on Dryad).

The number of delimited OTUs for each simulated species (median =1 and mean =1.71) gives the impression that GMYC might correctly delimit species under this scenario (Table 2). However, GMYC actually produced a low rate of correct delimitations (21.89%) with no false negatives. False positives (52.61%) and complex false positives (13.06%) occurred quite often, with the latter limited to certain combinations of ($N$, $t$) (Fig. 4 and Table 3). GMYC failed to yield a species delimitation with small sample size $n$ and/or number of loci $l$, and encountered computing errors with some ($N$, $t$) combinations. Although correct delimitations generally accompany false positives, the percentage of the latter is significantly higher than that of the former ($P<10^{-3}$, non-parametric paired Wilcoxon test). The test also reveals that larger numbers of loci did not improve the chance of obtaining correct delimitations ($P>0.05$ for $l$ comparisons of 1–2, 1–5, 1–10, and 1–20), but larger sample sizes did ($P<10^{-3}$ for $n$ comparisons 2–5, 2–10, and 2–20). In contrast, analyzing larger numbers of loci resulted in more false-positive errors, whereas sample size did not have a significant influence on this error rate.

PTP-h produced many NA results (54.06%), with most due to unclear species delimitations. However, correct delimitations dominate the remaining available results (Table 2; Supplementary Appendix S9 available on Dryad).

Note: Posterior probabilities for correct delimitation models are given for the results from BPP: $P_1$ of the one-species model for Scenario I; $P_2$ of the two-species model for Scenarios II and III; $P_3$ of the five-species model for Scenario IV, and $P_4$ of the four-species model for Scenario V. The numbers of delimited OTUs for each simulated species are reported for both GMYC and PTP.

**TABLE 2.** Descriptive statistics of the evaluation indices for delimitation results from Scenarios I to V

| Scenario | Statistics | BPP | GMYC | bPTP-h | bPTP-ML | PTP-h |
|----------|------------|-----|------|--------|---------|-------|
| I        | Median     | 0.99 | 2    | 8      | 5       | 11    |
|          | Mean       | 0.93 | 3.38 | 11.14  | 8.44    | 12.78 |
|          | Sd         | 0.19 | 2.73 | 9.49   | 8.12    | 7.99  |
|          | Min        | 0.00 | 2    | 2      | 2       | 2     |
|          | Max        | 1.00 | 32   | 37     | 39      | 34    |
| II       | Median     | 1.00 | 1    | 1      | 1       | 1     |
|          | Mean       | 0.91 | 1.71 | 3.18   | 2.39    | 1.49  |
|          | Sd         | 0.24 | 1.08 | 4.00   | 3.17    | 1.91  |
|          | Min        | 0.00 | 1    | 1      | 1       | 1     |
|          | Max        | 1.00 | 13   | 20     | 20      | 18    |
| III      | Median     | 0.02 | 2    | —      | 3       | —     |
|          | Mean       | 0.38 | 2.14 | —      | 4.38    | —     |
|          | Sd         | 0.46 | 1.50 | —      | 3.09    | —     |
|          | Min        | 0.00 | 1    | —      | 1       | —     |
|          | Max        | 1.00 | 10   | —      | 10      | —     |
| IV       | Median     | 1.00 | 1    | —      | 1       | —     |
|          | Mean       | 0.97 | 1.04 | —      | 1.00    | —     |
|          | Sd         | 0.15 | 0.30 | —      | 0       | —     |
|          | Min        | 0.01 | 1    | —      | 1       | —     |
|          | Max        | 1.00 | 7    | —      | 1       | —     |
| V        | Median     | 0.25 | 2    | —      | 5       | —     |
|          | Mean       | 0.42 | 2.14 | —      | 5.06    | —     |
|          | Sd         | 0.44 | 1.74 | —      | 3.40    | —     |
|          | Min        | 0.00 | 1    | —      | 1       | —     |
|          | Max        | 1.00 | 10   | —      | 10      | —     |
FIGURE 3. Species delimitations estimated by the Bayesian coalescent method in BPP. Boxplots are shown for posterior probabilities of the two-species delimitation model ($P_2$), across every 10 replicates under each set of conditions for Scenario II. Nine combinations ($N, t$) of population size $N$ and divergence time $t$ are shown along the top, together with five values of sample size $n$ on the right. The $x$-axis represents the number of loci, while probabilities are given on the $y$-axis.

FIGURE 4. Species delimitations estimated by GMYC for datasets from Scenario II. Panels show nine combinations of population size $N$ and divergence time $t$ along the top, and four values of sample size $n$ on the right. The $x$-axis represents the number of loci. The $y$-axis represents the number of cases classified by correct delimitation (CD), false positive (FP), complex false positive (CFP), and not available (NA) among the 10 replicates under each set of conditions, which are denoted by different shades according to the legend in the bottom-right. No false negatives occurred in the results from Scenario II.
We found that species delimitations are not significantly different whether we performed simulations using makesamples or SimPhy. Population growth also had no significant influence on the performance of the species-delimitation methods. However, having one species of population size larger than that of the other species ($N_{1}=10^4$) led to false positives dominating the delimitations by GMYC and bPTP-ML. Both unbalanced sampling and mutation rate heterogeneity at different levels were found to have small effects on the performance of these methods (see Supplementary Appendix S2 available on Dryad for details).

**Simulation Scenario III: Two Species with Ongoing Gene Flow**

With the basic settings informed by Scenario II (population size $N=10^4$, divergence time $t=10^6$, and sample size $n=10$) and with reference to delimitation results under these conditions in Scenario II, we found that varying degrees of gene flow did influence the performance of these methods. BPP identified the correct species delimitation when the migration rate was very low ($M_{ij} = 0.1$) (Supplementary Appendix S11 available on Dryad). When $M_{ij} = 1$, $P_2$ approaches 1.00 only with larger numbers of loci. For higher migration rates, nearly all $P_2$ values approach 0.00, indicating the presence of false negatives.

Compared with BPP, both GMYC and bPTP-ML appear to be more sensitive to the presence of gene flow. A large proportion of false positives was produced by GMYC when $M_{ij} = 0.1$, and complex false positives dominate the available results of GMYC when $M_{ij} \geq 1$.

### Table 3. Percentages of categories with delimitation results from Scenarios I to V by GMYC and PTP

| Scenario | Category | GMYC | bPTP-h | bPTP-ML | PTP-h |
|----------|----------|------|--------|---------|-------|
| I        | CD       | 0    | 0      | 0       | 0     |
|          | FP       | 75.60| 91.00  | 91.00   | 8.33  |
|          | NA       | 23.50| 9.00   | 9.00    | 91.67 |
| II       | CD       | 21.89| 48.89  | 60.33   | 39.83 |
|          | FN       | 0    | 0      | 0       | 0     |
|          | FP       | 52.61| 36.39  | 21.67   | 4.22  |
|          | CFP      | 13.06| 9.28   | 12.56   | 1.89  |
|          | NA       | 12.44| 5.44   | 5.44    | 54.06 |
| III      | CD       | 5.60 | —      | 10.80   | —     |
|          | FN       | 0    | —      | 0       | —     |
|          | FP       | 19.20| —      | 24.80   | —     |
|          | CFP      | 45.60| —      | 56.00   | —     |
|          | NA       | 29.60| —      | 8.40    | —     |
| IV       | CD       | 88.10| —      | 87.55   | —     |
|          | FN       | 5.85 | —      | 11.70   | —     |
|          | FP       | 4.70 | —      | 0       | —     |
|          | CFP      | 0.10 | —      | 0       | —     |
|          | NA       | 1.25 | —      | 0.75    | —     |
| V        | CD       | 7.53 | —      | 6.67    | —     |
|          | FN       | 10.00| —      | 4.60    | —     |
|          | FP       | 14.57| —      | 13.00   | —     |
|          | CFP      | 40.53| —      | 48.20   | —     |
|          | NA       | 25.47| —      | 10.73   | —     |

Note: Values are given based on single species in Scenario I, one species pair in Scenarios II and III; ten species pairs in Scenario IV, and six species pairs in Scenario V. CD = correct delimitation; FP = false positive; NA = not available; FN = false negative; CFP = complex false positive.
FIGURE 5. Species delimitations estimated by the Bayesian PTP maximum likelihood (bPTP-ML) for datasets from Scenario II. Panels show nine combinations of population size $N$ and divergence time $t$ along the top, and four values of sample size $n$ on the right. The $x$-axis represents the number of loci. The $y$-axis represents the number of cases classified by correct delimitation (CD), false positive (FP), complex false positive (CFP), and not available (NA) among the 10 replicates under each set of conditions, which are denoted by different shades according to the legend in the bottom-right. No false negatives occurred in the results from Scenario II.

Of the different methods in PTP, we only consider bPTP-ML here because of its superior performance in Scenarios I and II. It produced a variety of results, including correct delimitations, when $M_{ij} = 0.1$ and 1. For higher migration rates, however, bPTP-ML tended to produce complex false positives. Neither GMYC nor bPTP-ML yielded false negatives under this scenario. The numbers of delimited OTUs for each simulated species in this scenario are also higher than those in Scenario II for both GMYC and bPTP-ML (Table 2).

Simulation Scenario IV: Five Species

We use the values of the speciation rates, which controlled the relative depths of the internal nodes in our simulated trees, to refer to the five chronograms in this scenario (Supplementary Appendix S3 available on Dryad). When speciation rate $r \leq 10^{-6}$ (i.e., relatively deep speciation events), BPP generally obtained the correct species delimitation model with posterior probabilities ($P_7$) approaching 1.00 (Fig. 6a; Supplementary Appendix S12 available on Dryad). This model is denoted as “1111”, where the numbers “1” indicate the correct resolutions of (A,B) from (D,(C,E)), A from B, D from (C,E), and C from E, respectively. Failure to identify each of these distinctions is denoted by “0”. When $r = 10^{-5}$ (i.e., shallow speciation events), posterior probabilities are spread across all delimitation models except 0000, given small numbers of loci (i.e., $l = 1$ or 2); for larger $l$, however, $P_7$ always approaches 1.00.

GMYC yielded the correct delimitation under some circumstances in the five-species scenario (Fig. 6b; Supplementary Appendix S12 available on Dryad). When $r \leq 10^{-6}$, GMYC correctly delimited all of the species pairs, though with a few false negatives and false positives. When $r = 10^{-5}$ and with smaller $l$, it mainly produced false negatives for the four species pairs along the two basal branches, but correct delimitations for the other six pairs. For $r = 10^{-5}$ and large $l$, some false positives appear together with correct delimitations for all ten species pairs, making GMYC delimitations complicated. Conversely, bPTP-ML produced results with some clear patterns (Fig. 6c; Supplementary Appendix S12 available on Dryad). When $r = 10^{-5}$ and together with $l = 1$ and $l = 2$, some false negatives accompany correct delimitations. Under the remaining conditions, bPTP-ML almost always yielded correct delimitations. Numbers of delimited OTUs for GMYC and bPTP-ML have lower mean and median values (Table 2), but these can mask the presence of false negatives.
Simulation Scenario V: Four Species with Ongoing Gene Flow between Adjacent Species

For our scenario with four species experiencing ongoing gene flow between geographically adjacent species, BPP yielded posterior probabilities similar to those from Scenario III (Supplementary Appendix S13 available on Dryad). Only with a low migration rate ($M_{ij} \leq 1$, and $M_{ij} = 1$ with larger $j$) were high probabilities obtained for the correct delimitation model. This model is referred to as “111”, where the numbers “1” denote correct resolutions of (A,B) from (C,D), A from B, and C from D, respectively. Failure to identify each of these distinctions is denoted by “0”. Otherwise, the model 000 has a high posterior probability (Fig. 6d), though it is relatively low when $M_{ij} = 10$.

As with Scenario III, GMYC and bPTP-ML show stronger sensitivity to the presence of gene flow, but they both yielded a few false negatives with every level of gene flow (Tables 2 and 3; Supplementary Appendix S13 available on Dryad). A variety of results containing some correct delimitations (mainly with smaller numbers of loci) and many false positives were obtained for GMYC when $M_{ij} = 0.1$ and for bPTP-ML when $M_{ij} \leq 1$. Otherwise, complex false positives dominate their delimitations.

Separate analyses of the four species pairs from Scenario V (Supplementary Appendix S14 available on Dryad) show that when $M_{ij} = 1$, $P_2$ values from BPP for (A, C) and (A, D) are higher than those for (A, B) and (B, C). Even with a very high migration rate ($M_{ij} = 10$), $P_2$ for (A, D) approaches 1.0 for large numbers of
FIGURE 7. Species delimitations estimated for a dataset comprising 89 sequences from bears (genus *Ursus*). The maximum-likelihood tree is shown on the left. The vertical bars, from left to right, indicate the OTUs inferred by BPP, bPTP-ML, bPTP-h, PTP-h, and GMYC, respectively. Clades (of different colors in online version) in the tree indicate the 10 taxa in the guide tree for BPP delimitation, and a collapsed clade at the bottom with the label "HQ6859... _U. arctos_" represents 34 sequences of *U. arctos* with accession numbers beginning with "HQ6859" (Supplementary Appendix S4 available on Dryad).

For bPTP-ML, correct delimitations for (A, C) and (A, D) were obtained more frequently than those for (A, B) and (B, C) when $M_{ij} = 0.1$. For GMYC, which produced limited correct delimitations, there are no clear differences in the numbers of correct delimitations among the four species pairs. However, for $M_{ij} = 1$, more false positives were produced for (A, C) and (A, D), whereas complex false positives dominate the results from (A, B) and (B, C). For all three speciest-delimitation methods, delimitation differences among the species pairs, indicating the effects of geographic distance, become negligible when the migration rate is very small or very large (as appropriate for each method).

Species Delimitation in Bears

The maximum-likelihood estimate of the mitochondrial tree of *Ursus* shows that the brown bear (*U. arctos*) is paraphyletic with respect to the polar bear (*U. maritimus*) (Fig. 7). The sequences from the cave bear (*U. spelaeus*) are also not monophyletic, but this is corrected with the recent designation of sequence NC_011112 as belonging to *U. ingressus* (Stiller et al. 2014). With the species annotation and reciprocal monophyly as references, a guide tree comprising 10 taxa (Fig. 7) aided BPP in identifying 9 OTUs with a posterior probability of 0.84. The three strategies in PTP, bPTP-ML, bPTP-h, and PTP-h, estimated 17, 22, and 20 OTUs, respectively. GMYC analysis using a single threshold identified the presence of 20 OTUs, matching the result obtained using PTP-h.
Species Delimitation in Bees

Species included in our datasets account for a small portion of the described species of apiid bees and mason bees, so we do not focus on the inferred relationships here. We tested the effects of the number of loci \( l \) and sample size \( n \) on the performance of BPP, GMYC, and bPTP-ML with the available species annotations. For Apidae (Supplementary Appendix S15 available on Dryad), our duplicate BPP analyses with \( 5 \times 10^6 \) MCMC steps failed to converge when \( l = 6 \), resulting in posterior probabilities approaching 1.00 for two different delimitation models. One of these models, along with the species delimitations with the highest posterior probabilities when \( l = 1 \) and \( l = 2 \), are consistent with the species annotations. Both GMYC and bPTP-ML produced estimates congruent with the species annotations, except that GMYC delineated two subspecies of *Apis mellifera* from other subspecies when \( l = 2 \).

For Osmia bees (Supplementary Appendix S16 available on Dryad), when \( n = 1 \), GMYC, and bPTP-ML mixed the annotated species to varying degrees. When \( n = 2 \), the two methods generally identified the annotated species, but with one more OTU for some species. When \( n \geq 5 \), the methods delimited more OTUs for the annotated species. Delimitations from our BPP analyses are consistent with the 10 *Osmia* species whenever \( n = 1, 2, \) or \( \geq 5 \).

**Discussion**

**Performance of Species-Delimitation Methods**

We have presented a comprehensive comparison of the performance of three widely used molecular species-delimitation methods, based on five different simulation scenarios. The Bayesian coalescent method in BPP, designed for multiple loci, was found to yield high posterior probabilities for correct species delimitations under a variety of conditions. It was relatively robust to the influence of unequal population sizes, population growth, unbalanced sampling, and mutation rate heterogeneity. Some of these findings are consistent with those of previous studies (e.g., Zhang et al. 2011; Barley et al. 2018). However, we note that our use of BPP was carried out under favorable conditions. For example, we used diffuse gamma priors that were compatible with the population sizes and divergence times in our simulations (Leaché and Fujita 2010; Yang and Rannala 2014, Cavièdes-Solis et al. 2015; Yang 2015).

We confirmed that BPP encountered problems when the migration rate between species was relatively high \( (M_j > 1) \), and that its delimitation efficacy was somewhat affected by geographic distance (Zhang et al. 2011). These results are not surprising, given the assumption of BPP that no gene flow exists between species. We also found that when the ratio of population size to divergence time \((N/\tau)\) was relatively high, BPP had a high probability of underestimating the number of species, although this could potentially be overcome by analyzing larger numbers of loci and/or using larger samples. Therefore, recently diverged species (as shown by our Scenarios II and IV) pose a challenge to BPP, especially when they have larger population sizes. This outcome is consistent with a previous finding that more loci are necessary when analyzing species that have a shallow evolutionary history (Hime et al. 2016).

We obtained different species delimitations across the three PTP strategies and even the newly developed multi-rate PTP method, which did not perform better than bPTP-ML according to our evaluation criteria (results not shown). However, our focus is on comparison of GMYC, PTP, and BPP. In contrast with BPP, the first two methods aim to delimit species efficiently with data from a single locus, but are increasingly being applied to multi locus datasets. However, our results highlight some differences between the methods. First, unlike the single-threshold GMYC, the best PTP strategy bPTP-ML did not encounter computing errors. Second, bPTP-ML correctly delimited species in Scenario II more frequently than did GMYC, contributing to the better overall performance of bPTP-ML compared with GMYC. Third, larger \( l \) and \( n \) generally enhanced correct delimitations in bPTP-ML, whereas the effect of the former was more modest for GMYC. Fourth, where species were not delimited correctly, the results often differed between GMYC and bPTP-ML. Last, the numbers of delimited OTUs for simulated species indicate that GMYC and PTP can infer different numbers of OTUs in practice.

There are also considerable similarities in the performance of GMYC and bPTP-ML. Both methods were sensitive to the ratio \( N/\tau \). Large values of \( N/\tau \) led to complex false positives involving polyphyletic species and false positives involving oversplitting (e.g., Scenario II). Both GMYC and bPTP-ML were also very sensitive to ongoing gene flow, with negative impacts seen even with very low levels of gene flow. Further, both were generally robust to the effects of potential confounding factors (e.g., unbalanced sampling and mutation rate heterogeneity), but to a lesser extent than BPP overall (especially to differing population sizes; Supplementary Appendix S2 available on Dryad). Additionally, our results support the suggestion that GMYC should not be used when the dataset consists of very few putative species, and we extend this suggestion to include bPTP-ML. This is because of the imbalance between speciation and coalescence (Talavera et al. 2013; Dellicour and Flot 2015), which poses a challenge to identifying transition points between inter- and intraspecific processes. In our results, problems appeared in the forms of no correct delimitations (Scenario I), no false negatives (Scenario II, Scenario III, and individual pairs from Scenario V), and even computing errors in GMYC.
On the whole, our results indicate that both GMYC and bPTP-ML are able to perform well in the absence of gene flow between species; the latter method tends to perform better overall, although in some cases it produced larger numbers of inferred OTUs. Nevertheless, GMYC and bPTP-ML have a number of important shortcomings. First, they need gene trees to be specified and they treat these as being equivalent to species trees. This assumption is problematic when there is strong discordance between the gene trees and the species tree (Degnan and Rosenberg 2006, 2009). Consequently, concatenation of multiple loci requires caution when using methods designed to analyze single-locus data. Second, when \( N/t \) was relatively high, the performance of both GMYC and bPTP-ML was poor regardless of the number of loci or the sample size. Third, GMYC and bPTP-ML rely on the accuracy of the input trees, and upstream errors can result in misleading species delimitations (Tang et al. 2014). GMYC seems to be generally robust to the choice of method used to infer the ultrametric input tree (Talavera et al. 2013; da Cruz and Weksler 2018), but this result is in contrast with the known sensitivity of node-time estimates to the choice of clock model and tree prior (e.g., Duchêne et al. 2014).

**Factors Affecting Molecular Species Delimitation**

The combination of population size \( N \) and divergence time \( t \) has differing impacts on the three species-delimitation methods. When the ratio \( N/t \) was relatively high for two species, BPP tended to produce false-negative errors. To obtain a correct species delimitation with a small number of loci and small sample size (e.g., 2 for both), the maximum of the ratio \( N/t \) for BPP analyses should be around 1 (Fig. 3). With higher \( N/t \), GMYC and bPTP-ML increasingly produced false positives and complex false positives in Scenario II. With shallow speciation events in Scenario IV, GMYC mainly yielded false negatives with false positives for closely related species, whereas bPTP-ML increased the number of false negatives. These results demonstrate the important influence of incomplete lineage sorting on species delimitation, which becomes more probable with higher \( N/t \).

There is growing use of multi-locus datasets for molecular species delimitation, but this often involves a trade-off between the number of loci and sample size for each species (Fujisawa and Barraclough 2013; Hime et al. 2016). We investigated the possible effects of this trade-off, particularly in Scenario II of our simulations, finding that the effects were outweighed by those of the population size and divergence time. This was previously demonstrated for GMYC (Fujisawa and Barraclough 2013), but we have found that it also holds true for BPP and bPTP-ML. However, the effects of the number of loci \( l \) and sample size \( n \) cannot be negligible. Although both \( l \) and \( n \) appeared to have no impact with lower \( N/t \) (somewhat consistent with the results of Yang and Rannala 2017), increasing both \( l \) and \( n \) improved correct delimitations of BPP with higher \( N/t \) (Figs. 3 and 6a). Under some conditions in Scenario II, increasing \( l \) and/or \( n \) improved the performance of bPTP-ML and GMYC.

Our concatenations of larger numbers of loci generally did not have negative effects on the performance of bPTP-ML and GMYC, indicating that the impacts of violating the assumption of gene-tree discordance are modest. However, the situation might be considerably more complex for real data. The performance of BPP with concatenations of 20 loci was equal to or worse than that with single locus (results not shown), suggesting that concatenating independent loci can have a negative impact on methods that have been designed to analyze multiple loci.

The presence of gene flow had negative impacts on the three methods examined in our study, particularly on GMYC and bPTP-ML. These two methods were also substantially affected by differing population sizes resulting in higher \( N/t \), along with the number of putative species. In contrast, unbalanced sampling, population growth, and mutation rate heterogeneity appeared to have limited impacts on species delimitation using these methods (Supplementary Appendix S2 available on Dryad).

**Species Delimitation, Population Delimitation, or a Mosaic?**

Our simulation study has shed light on the performance of species-delimitation methods across a range of speciation scenarios, but its implications apply equally to studies of highly structured populations (Sukumaran and Knowles 2017). For example, BPP has been variously used to delimit populations (e.g., Potter et al. 2016), to delimit species (e.g., Mason et al. 2016), to delimit populations with the potential to elevate them to species (e.g., Oliveira et al. 2015), and to delimit evolving lineages within and across species (e.g., Moritz et al. 2018). Our speciation scenarios can be interpreted as being analogous to specific models of population structure. For example, two species with unequal population sizes (Supplementary Appendix S2 available on Dryad) can be treated as a simple case of the continent-island model without migration. Our simulation Scenario V is a one-dimensional stepping-stone model of population structure.

The delimited OTUs can represent species, populations, or even a mosaic of species and populations. In this study, we have simply treated speciation events as being instantaneous, while assuming Wright–Fisher panmixia for each species. In contrast, both the protracted speciation model and the viewpoint that a species is a separately evolving metapopulation lineage (de Queiroz 2007) treat speciation as an extended process. However, these two treatments are not strictly contradictory. Our modelling of speciation as an instantaneous event can
be interpreted as the initiation of speciation (i.e., lineage separation), with the delimited OTUs then representing populations or a mosaic of species and populations. If the extended process is relatively short and the newly formed species do not have pronounced structure, then species divergence is effectively an instantaneous event. If there is any continuation of gene flow, the effects are captured in our Scenarios III and V.

The results of molecular species delimitation should be interpreted alongside other lines of evidence, such as comparative morphology, population genetics, and ecology (Sukumaran and Knowles 2017). The importance of using such an integrative approach to taxonomy is underscored by our finding that FTP and GMYC yielded high rates of false positives and complex false positives in some circumstances. If interpreted naively, the results of these analyses would lead to an artificial inflation in the number of species.

Implications of Case Studies

Our case studies, based on species of bears and bees, confirmed some of the findings from our simulation study. These included differences in the performance of the three species-delimitation methods, along with the modest effects of increasing the number of loci and sample size. To interpret these results, we referred to the species annotations accompanying the sequence data from bears and bees, most of which are attributed to traditional morphological taxonomy.

Like the species annotations in our cases, additional information from morphological characters, behavioral traits, and geographic distributions would be needed to provide informed starting points for species delimitation. Accordingly, molecular species delimitation is either implicitly or explicitly carried out as part of an integrative taxonomy approach (Dayrat 2005; Will et al. 2005). In terms of other lines of evidence as above, the informed starting points provide important background for interpreting the presence of population structure.

Our analysis of mitochondrial genomes from bears enhances our understanding of these vulnerable, endangered, or extinct animals. For example, our results point to various delimitations of the brown bear, a species that has been the subject of numerous mitochondrial studies (Davison et al. 2011). Its mitochondrial paraphyly with respect to the polar bear has been recognized as an instance of introgression due to past hybridization between the two species (Hailer et al. 2005).

Compared with bears, many bee species remain undescribed, despite their ecological and economic importance. Currently, pollinator bees fundament to agricultural productivity are declining towards extinction (Ollerton et al. 2014; Carswell 2015). Our delimitation results are broadly consistent with the species annotations, indicating that molecular species delimitation complements rather than replaces the traditional taxonomy. With molecular species delimitation, the first step to protecting species diversity of bees can be accelerated.

Conclusions

We have compared the performance of three widely used methods of species-delimitation across a range of simulation scenarios and evolutionary parameters. Our results have drawn attention to the better accuracy and robustness of the Bayesian coalescent method in BPP along with the performance of the GMYC model and the FTP model under a range of conditions. All three methods are negatively influenced by gene flow and are sensitive to the ratio of population size to divergence time, reflecting the important impact of incomplete lineage sorting on species delimitation. Unexpectedly, we found only a modest benefit in increasing the number of loci and the sample size per species. Future studies of molecular species delimitation, particularly focusing on a range of empirical datasets, will provide further insights into the relative impacts of different confounding factors. With a greater understanding of the behavior of molecular species-delimitation methods, genetic data will increasingly contribute to integrative taxonomy and other areas of biological research.

Supplementary Material

Data available from the Dryad Digital Repository: http://dx.doi.org/10.5061/dryad.739bs.

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