Predicting reversed-phase liquid chromatographic retention times of pesticides by deep neural networks

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ABSTRACT

To be able to predict reversed phase liquid chromatographic (RPLC) retention times of contaminants is an asset in order to solve food contamination issues. The development of quantitative structure-retention relationship models (QSRR) requires selection of the best molecular descriptors and machine-learning algorithms. In the present work, two main approaches have been tested and compared, one based on an extensive literature review to select the best set of molecular descriptors (16), and a second with diverse strategies in order to select among 1545 molecular descriptors (MD), 16 MD. In both cases, a deep neural network (DNN) were optimized through a gridsearch.

1. Introduction

Contaminants and especially pesticides in food are of growing concern as the general public is increasingly aware about their health effects (Dashtbozorgi et al., 2013). Depending on their concentrations, toxicity, and frequency of detection in food and in the environment, pesticides may lead to health impairment, disease and even death (Colosio et al., 2017). Detecting and quantifying these compounds helps to guarantee compliance of imported goods with the laws and regulations of the importing country (Chiesa et al., 2016).

The high accuracy and mass sensitivity of high-resolution mass spectrometry (HRMS) instruments hyphenated to liquid (LC) or gas (GC) chromatography make it possible to observe thousands of chemical features in food and environment samples. These features include mono-isotopic exact mass, chromatographic retention time (RT), abundance, isotope profiles and MS² fragmentations. However, data processing and chemical characterization remain difficult despite recent developments. Chemical reference standards and spectral data enable us to confirm the structure of observed characteristics, but reference standards, especially metabolites and by-products, are rarely available for thousands of characteristics in non-target analysis (NTA) and suspect screening analysis (SSA) (McEachran et al., 2018), and having these thousands of standards can also represent a considerable cost.

Since the appearance of HRMS, the interest in improving confidence in the identification of small molecules increase, such as pesticides, from putative positive samples based on detection to confirmation (Bade et al., 2015a; Schymanski et al., 2014). SSA studies are those in which observed features in food poisoning. This is especially true for pesticides where there are a few thousand analytes, metabolites and by-products. In order to increase confidence in the tentative identification of compounds, especially in SSA, it is conceivable to predict their chromatographic retention time (RT) (Bade et al., 2015b; Barron and McEneff, 2016; Parinet, 2021; Randazzo et al., 2016).

To predict RT, different strategies using various molecular descriptor (MD) sets and multiple machine-learning algorithms have been tested and published (Aalizadeh et al., 2019; Bade et al., 2015a; Barron and McEneff, 2016; Gorytiski et al., 2013; McEachran et al., 2018; Munro et al., 2015; Noreldeen et al., 2018; Parinet, 2021; Randazzo et al., 2016). These strategies range from the use of logKow models (Bade et al., 2015b) to more complex in silico approaches based on quantitative structure-retention relationship (QSRR) modeling, including artificial neural networks (ANNs), support vector machines (SVMs), random forest (RF), partial least squares regression (PLS-R), and multilinear regression (MLR) (Ghasemi and Saaidpour, 2009; Munro et al., 2015; Parinet, 2021).

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In the first part of this study, two different approaches were tested and compared in order to build an effective QSRR model dedicated specifically to predicting pesticide RTs analyzed by reversed-phase liquid chromatography (RPLC) (C18) in SSA or NTA. The first approach was based on an exhaustive literature review in order to find the best MD set to predict pesticide RTs. The second approach had no preconceived ideas as to which MDs that should be selected among 1545 MDs to feed the QSRR. Indeed, in this second approach, various strategies using the Lasso regression, a Pearson correlation feature selection (Pearson), a recursive feature elimination (RFE) and the use of principal components analysis (PCA) have been used in order to select among the entire MD available, sixteen MD. In both cases, a deep learning algorithm was retained and optimized (a multilayer perceptron (MLP)) in order to predict RTs of pesticides, and a comparison was done between the two approaches in order to select the best one.

2. Materials and methods

2.1. Dataset

Initially, the dataset included 843 RTs of pesticides collected from the article of Wang et al. (2019). Ultra-high-performance liquid chromatography (UHPLC) gradient conditions, column temperatures, mobile phases, columns, and instruments used to generate the data presented in detail in Wang et al. (2019).

Three free software applications have been used in order to compute the pesticide’s MD. These applications are free, can calculate a large number of descriptors and are widely available. The ACD software (Advanced Chemistry Development, Toronto, ON, Canada) was used to calculate $\text{LogP}$ and $\text{LogD}$. The Toxicity Estimation Software Tool (TEST, Cincinnati, OH, USA) was used to compute $\text{Hy}$, $\text{Ui}$, $\text{IB}$, $\text{BEHp1}$, $\text{BEHp2}$, $\text{GATS1m}$, and $\text{GATS2m}$. The rest of the molecular descriptors (1834 MD) were calculated using the ChemDes online platform (http://scbdd.com/chemdes/).

Once the MDs were computed, the dataset was cleaned in order to remove constant and missing values (Figure 1). Indeed, constant values are useless in order to develop QSRR models and missing values make learning and prediction impossible. The missing values are due to the softwares and their inability to generate, depending on the molecules, the MD. At the end of this curation process, 792 pesticides, their RTs, and 1545 MDs remained in the final dataset. The dataset containing the MDs for each pesticide was then ready to build QSRR models (Table S1).

2.2. QSRR model development

The dataset constituted previously and containing the pesticides (792), their MDs (1545), and RTs was used in order to select among them the best MDs inherited from the literature review (Model 1). Importantly, in order to find the best set of MDs, a literature review was done by selecting the most recent and pertinent papers with the following criteria: the prediction of retention times measured by RPLC and for pesticides or similar compounds (pharmaceuticals, veterinary drugs). At the end of this literature review, seven articles, their MDs, and models were selected (shown in Table 1 with their performances) and compared in term of performance measured principally through the percentage of error, which is the ratio between the root mean square error (RMSE) divided by the maximum retention time measured on the last eluted compound. In order to pursue the no a priori approach on which MD to select (Model 2 to Model 8), diverse strategies were used and compared in order to select among the 1545 MD, the best sixteen MD. Sixteen MD were retained in order to be able to compare the performances of the models (Model 2 to 8) to the model inherited from the literature review (Model 1). Hence, the Lasso
regression, a regularized linear regression that aims to constrain the coefficients to be close to 0 or equal to zero, thus allowing an automatic selection of the characteristics/MD, here 16 MD (r^2). The second strategy was based on the Pearson correlation between the 1545 MD and the output (pesticides RTs), and the larger the relationship and more likely the feature/MD should be selected for modeling, then sixteen MD were selected based on this strategy (LogD, BEHm4, CrippenLogP, ALOGP2, ALOGP, XLOGP2, eta, LogP, BEHm5, molecular weight, H_donors, logSwa4, Moriguchi logP, AlogP, logP, logD – C14). The second strategy was based on the

Table 1. QSRR models selected from the literature review.

| References                | Type of contaminant | Number of contaminants | MDs selected                                                                 | Best machine learning algorithms used | RT max measured (min) | R^2 test set | RMSE test set (min) | Percentage of error |
|---------------------------|--------------------|------------------------|-------------------------------------------------------------------------------|--------------------------------------|-----------------------|--------------|---------------------|---------------------|
| Aalizadeh et al. (2019)   | Emerging contaminants 1830 | LogD, CIC1, SeigZ, RDF020p, ALOGP | SVM                                                                           | 14.4                                | 0.88                  | 1.04         | 7%                  |
| McEachran et al. (2018)   | Environmental contaminants 97 | LogP, LogD, molecular weight, molecular volume, polar surface area, molar refractivity, H_donors, H_acceptors | ACD /ChromGenius® | 40.8                                | 0.92                  | 2.66         | 6.5%               |
| Bade et al., 2015a, b     | Emerging contaminants 544 | nDB, nTB, nC, nO, nR04-nR09, U1, Hg, MlogP, AlogP, logD, nDBk, nTBl | MLP                                                                           | 16.5                                | 0.91                  | 0.89         | 5.4%               |
| Munno et al. (2015)       | Pharmaceuticals 166 | nDB or nTB, nC or nO, nR04-nR09, U1, Hg, MlogP, AlogP, LogD, nDBk, nTBl | GRNN                                                                       | 23.2                                | 0.88                  | 1.39         | 5.9%               |
| Noreldoen et al. (2018)   | Veterinary drugs 95 | ACDlogP, ALOGP, ALOGP2, Hg, U1, ibw, BEHm1, BEHm2, GATS1m, GATS2m | MLR                                                                           | 9.3                                 | 0.95                  | 0.62         | 6.6%               |
| Bride et al., 2021        | Environmental contaminants 274 | logD, DBE, nO, nC, nH, molecular weight, H_donors, logSwa4 | MLR                                                                           | 14.7                                | 0.76                  | 1.36         | 9.2%               |
| Yang et al., 2020         | Pharmaceuticals 133 | XlogP, BCTup.1h, AATS1e, AATS3i, GATS1e, ALOGP, AATS1e, ETA_EtaP_B, AATS3i, ETA_EtaP_B | MLR                                                                           | 15.0                                | 0.63                  | 1.42         | 9.4%               |

| a | logD is the measure of hydrophobicity for the ionizable compounds. |
| b | CIC1 is the Complementary Information Content index (neighborhood symmetry). |
| c | SeigZ is the eigenvalue sum from a Z weighted distance matrix of a Hydrogen-depleted Molecular Graph. |
| d | RDF020p is radial distribution function weighted by atomic polarizabilities. |
| e | ALOGP is logP estimated by the Ghose-Crippen method. |
| f | LogP or LogKow, LogP is equal to the logarithm of the ratio of the concentrations of the test substance in octanol and water. This value allows apprehending the hydrophilic or hydrophobic (lipophilic) character of a molecule. |
| g | defined as the surface sum over all polar atoms or molecules, primarily oxygen and nitrogen, also including their attached hydrogen atoms. |
| h | is a measure of the total polarizability of a mole of a substance. |
| i | the number of H-bond donor as descriptors of the H-bonding property. |
| j | the number of H-bond acceptor groups as descriptors of the H-bonding property. |
| k | number of double bonds. |
| l | number of triple bonds. |
| m | number of Carbon. |
| n | number of Oxygen. |
| o | the number of 4–9 membered rings. |
| p | unsaturation index. |
| q | hydrophilic factor. |
| r | Moriguchi logP. |
| s | number of benzen groups. |
| t | equilibrium constant of the dissociation reaction of an acid species in acid-base reactions. |
| u | ACDlogPa molecular properties octanol-water partitioning coefficients. |
| v | ALOGP2 molecular properties Ghose-Crippen octanol water coefficient squared. |
| w | ib information indices information bond index. |
| x | BEHm1 burden eigenvalue descriptors highest eigenvalue n. 1 of burden matrix/weighted by atomic polarizabilities. |
| y | BEHm2 burden eigenvalue descriptors highest eigenvalue n. 2 of burden matrix/weighted by atomic polarizabilities. |
| z | GATS1m 2D autocorrelation descriptors Geary autocorrelation-lag 1/weighted by atomic masses. |
| a1 | GATS2m 2D autocorrelation descriptors Geary autocorrelation-lag 2/weighted by atomic masses. |
| a2 | the double-bond equivalent descriptor is the number of unsaturations present in a organic molecule. |
| a3 | the water solubility described by the logarithm of water solubility in mg/L at 25 °C. |
| a4 | XLOGP2 is the constitutional descriptors-describe hydrophobic/hydrophilic properties. |
| a5 | AlogP is logP estimated by the Ghose-Crippen method. |
| a6 | LogP or LogKow, LogP is equal to the logarithm of the ratio of the concentrations of the test substance in octanol and water. This value allows apprehending the hydrophilic or hydrophobic (lipophilic) character of a molecule. |
| a7 | defined as the surface sum over all polar atoms or molecules, primarily oxygen and nitrogen, also including their attached hydrogen atoms. |
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| a9 | the number of H-bond donor as descriptors of the H-bonding property. |
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| a11 | number of double bonds. |
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| a13 | number of Carbon. |
| a14 | number of Oxygen. |
| a15 | the number of 4–9 membered rings. |
| a16 | unsaturation index. |
| a17 | hydrophilic factor. |
| a18 | Moriguchi logP. |
| a19 | number of benzen groups. |
The second strategy, a recursive feature elimination (RFE), was used for the models developed in this study in order to determine the error between the experimental and predicted RTs in the QSRR models, especially in terms of their ability to be generalized to new pesticide substances with unknown RTs. The lower the RMSE and the higher the $R^2$ value, the better the model. The $R^2$ and RMSE were measured, in the case of the models developed in this present study, on the training set ($n = 445$ pesticides), on the test set ($n = 148$ pesticides), and on the validation set ($n = 198$ pesticides) (Table 2).

The percentage of error was used to compare the models. Of note, the gradient durations are not the same between the different studies mentioned in the literature review (Table 1), and an RMSE of 1 min does not have the same meaning for a gradient of 10 min or for a gradient of 40 min. For this reason, the maximum chromatographic retention time (RT max) was systematic recorded (Tables 1 and 2). The RT max, displayed in Table 2, corresponds to the elution time of the last compound analyzed.

The following statistics were calculated using Python Software (Version 3.8) for model validation and comparison (McEachran et al., 2018):

- The coefficient of determination ($R^2$) between predicted and experimental RTs was calculated as follows (Eq. (1)):

$$R^2 = 1 - \frac{\sum_{i=1}^{n}(y_i - \bar{y}_i)^2}{\sum_{i=1}^{n}(y_i - \bar{y})^2}$$

where $\bar{y}_i$ and $\bar{y}$ are the predicted and experimental RTs, respectively, and $\bar{y}$ is the mean experimental RT.

- The root mean square error (RMSE) between predicted and experimental RTs was calculated as follows (Eq. (2)):

$$RMSE = \sqrt{\frac{\sum_{i=1}^{n}(y_i - \bar{y}_i)^2}{n}}$$

where $\bar{y}_i$ and $y_i$ are the predicted and experimental responses, respectively.

- The percentage of error (% error) was calculated as follows (Eq. (3)):

$$\text{Percentage of error} = \frac{\text{RMSE validation set} \div RT_{\text{max measured}}}{100}$$

2.4. Structure of the DNN

DNN is a computer program inspired by the biological neural network and designed in order to modelize complex, non-linear problems (classification or regression). A typical DNN is composed of a number of neurons from a few to millions, which are arranged in a series of layers (Zhong et al., 2020). A neuron is a computational unit that has one or more weighted input connections, a transfer function that combines the inputs in some way, and an output connection. The input neurons in the input layer are designed to receive the data, such as the MDs used here, and the output neurons in the last layer are the final predictions made by the DNN, which will be used to compare with the true target data, such as RTs of pesticides. Between the input layer and the output layer are hidden layers, often more than one layer (Zhong et al., 2020) in case of DNN. The input data go into the DNN through the input layer, are then transformed in the hidden layers, and finally become the predictions in the output layer. The values in all neurons in the hidden and output layers are calculated by the application of an activation function on the sum of the values in the previous neurons + weight + bias calculation, in which weights and biases can be updated based on the errors between the predictions and the target until the errors reach a minimum value. Update of the weights and biases is done through back-propagation of the errors between the target (RT experimental) and the prediction (RT predicted). This process is the “learning” process of DNN. DNNs have two

References

The validation of QSRR models is probably the most significant and critical part of model evaluation in order to prevent overfitting in particular. For this reason, we carried out the validation step using the validation dataset never used for the training and testing parts (Nordeleon et al., 2018) Figure 1).

The coefficient of determination ($R^2$) and the RMSE were used to evaluate and compare the models extracted from the literature review and were measured on the test set (Table 1). These parameters were also used for the models developed in this study in order to determine the error between the experimental and predicted RTs in the QSRR models, especially in terms of their ability to be generalized to new pesticide substances with unknown RTs. The lower the RMSE and the higher the $R^2$ value, the better the model. The $R^2$ and RMSE were measured, in the case of the models developed in this present study, on the training set ($n = 445$ pesticides), on the test set ($n = 148$ pesticides), and on the validation set ($n = 198$ pesticides) (Table 2).

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where $\bar{y}_i$ and $\bar{y}$ are the predicted and experimental RTs, respectively, and $\bar{y}$ is the mean experimental RT.

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where $\bar{y}_i$ and $y_i$ are the predicted and experimental responses, respectively.

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The coefficient of determination ($R^2$) and the RMSE were used to evaluate and compare the models extracted from the literature review and were measured on the test set (Table 1). These parameters were also
main hyperparameters: the number of neurons per layer, and the number of layers. The number of layers and neurons is also called the “depth” and “width” of DNN, respectively. Larger numbers of layers and neurons mean deeper and wider DNNs, which often have more powerful fitting ability and can achieve better accuracy on the prediction. However, too many layers and neurons can lead to an overfitting problem, which is an accurate prediction on the training set but poorer prediction on the test set. It is crucial for the DNN to be able to generalize on a dataset never seen before. For this last reason, we split the dataset into a training, test and validation datasets, in order to evaluate the capacity of the DNN to generalize. The model development process is hence to develop an optimum architecture of the DNN with an appropriate fitting ability. In this study, our DNN was composed of an input layer, several hidden layers, and an output layer. In each layer, there are numerous neurons accepting values from the neurons of the neighboring layer. In the input and hidden layers, the number of neurons was equal to the number of MDs selected. For instance, if the number was 16 MDs, then there were 16 neurons in the input and in each hidden layer, as suggested by Geron (2017). The number of neurons in the output layer was 1 because there was only one RT for each pesticide. The number of neurons in the hidden layers was set manually before the learning process began. Here, we focused on the following hyperparameters: the number of hidden layers, the activation function, the alpha value, and the solver used. We investigated their effects on the performance of the DNN through a gridsearch and a cross-validation (cv = 5) process done on the training set. The R² and RMSE values were calculated to evaluate the effects of the hyperparameters on the performances of the models developed and on overfitting. A detailed description of the theory behind DNNs has been adequately provided elsewhere (Zhong et al., 2020). Model training was stopped after 1000 epochs (iterations).

3. Results and discussion

For a DNN, prediction accuracy is highly related to its structure, the number of layers, neurons, other hyperparameters (activation function, solver for weight optimization, etc.), and even more to the inputs retained, in our case the MDs.

3.1. Comparison of published QSRR models

One of the main bottlenecks in designing QSRR models is selecting the MDs (May et al., 2011; Parinet, 2021; Scotti et al., 2016). The selection of the most suitable MDs, among several thousand, can follow various strategies (May et al., 2011); this step is particularly complicated because there are many molecular descriptors that can be calculated and used (Aalizadeh et al., 2019; Bade et al., 2015a, 2015b; McEachran et al., 2018; Munro et al., 2015; Noreldeen et al., 2018) and many strategies to select the MDs.

Here, to develop the most accurate QSRR dedicated to pesticides, we used two different approaches. The first approach was based on an extensive literature review on the prediction of RPLC retention times of compounds similar in their structures and properties to pesticides, such as pharmaceuticals and veterinary drugs. Based on this literature review, seven articles emerged (Table 1). In order to select the best set of MDs among the seven research papers, a study of the QSRR models developed was carried out. In order to do this, the performances of the QSRR models were documented and compared (Table 1). The number of contaminants used to build and optimize the QSRR models was found to be between 95 and 1830 compounds, the number of MDs selected was between 5 and 16, and the RT max values measured were between 9.3 and 40.8 min. The machine learning algorithms used were SVM, DNN (MLP and general regression neural networks (GRNN)), and MLR. The performances measured on the test set are for the R² between 0.63 and 0.95, and for the RMSE between 0.62 and 1.42 min. Nevertheless, the gradients are not similar, reflected by the different RT max measurements. The RMSE and the R² alone are not sufficient to determine which MD set and QSRR model is the most efficient. For this reason, we calculated the percentage of error (Eq. (3)), which was not done in the recent article of Parinet (2021) where all the references selected, and their corresponding MD datasets were applied directly on the pesticides dataset in order to make the prediction of RT. The percentage of error was between 5.4% and 9.4%. The lowest value for the percentage of error was obtained thanks to these molecular descriptors and with a MLP was around 6%, which is close to the 5.4% got by Bade and colleagues (2015) on 544 emerging contaminants and by the use of 16 MDs (nDB, nTB, nC, no, nR04-nR09, UI, Hy, MLogP, ALOGP, LogP, LogD) and a DNN (MLP). Based on these results, we retained for our QSRR development, the Bade and colleagues (2015) MD set and the MLP as the best ML algorithm to use (model 1) with a percentage of error equal to 5.4%. Then, we used the MD listed by Bade and colleagues (2015) on our dataset and through a MLP (Bade-MLP – Model 1) as described before in the text. By this approach we got a R² on the training and test set equal to 0.95 and 0.90, respectively (Table 2, Figure S1A & S1B). The RMSE obtained on the training and test set was equal to 0.43 and 0.63. On the validation set, never used for the learning and optimizing process, the R² was equal to 0.82 and the RMSE equal to 0.67 (Table 2, Figure S1C). These past results are similar to those obtained by Parinet (2021) with the McEachran 3 MDs, on the validation dataset, and by the use of SVM and MLP as machine learning algorithms where the R² were between 0.85-0.89 and the RMSE between 0.64-0.69, respectively. The percentage of error obtained thanks to these molecular descriptors and with a MLP was around 6%, which is close to the 5.4% got by Bade and colleagues (2015) on their compounds.

### Table 2. Performances of QSRR models applied to the pesticide dataset.

| N | Model | Number of molecular descriptors | Name of the Model | Internal set | DNN Optimized | Validation set |
|---|---|---|---|---|---|---|
| | | | | Training set | Test set | Percentage of error | Number of neurons per hidden layers | Activation function | Solver | Alpha |
| | | | | R² | RMSE | R² | RMSE | |
| 1 | 16 | Bade-MLP | 0.95 | 0.43 | 0.90 | 0.63 | 0.82 | 0.67 | 6% | 16-16-16-16-16 | ReLu | Adam | 10 |
| 2 | 16 | Lasso-MLP | 0.60 | 1.19 | 0.50 | 1.27 | 0.49 | 1.36 | 12% | 16 | tanh | SGD | 1 |
| 3 | 16 | Pearson-MLP | 0.79 | 0.86 | 0.79 | 0.83 | 0.78 | 0.88 | 8% | 16-16-16-16-16 | ReLu | SGD | 10 |
| 4 | 16 | RFE-MLP | 0.69 | 1.04 | 0.60 | 1.15 | 0.63 | 1.16 | 10% | 16-16-16-16-16 | ReLu | SGD | 10 |
| 5 | 16 | PCA1-MLP | 0.75 | 0.94 | 0.61 | 1.12 | 0.64 | 1.14 | 10% | 16 | tanh | Adam | 1 |
| 6 | 16 | PCA2-MLP | 0.42 | 1.44 | 0.34 | 1.47 | 0.38 | 1.50 | 13% | 16 | tanh | Adam | 1 |
| 7 | 16 | PCA3-MLP | 0.61 | 1.18 | 0.53 | 1.24 | 0.56 | 1.26 | 11% | 16-16-16 | ReLu | SGD | 10 |
| 8 | 16 | PCA4-MLP | 0.82 | 0.79 | 0.75 | 0.91 | 0.76 | 0.93 | 8% | 16-16-16-16 | ReLu | SGD | 10 |
3.2. Comparison between QSRR models developed thanks to the literature review and to the no a priori approaches

To develop the most efficient QSRR model specifically for pesticides, we compared the performances obtained for Model 1 (Bade-MLP) with those of Model 2 to 8 (no a priori approach).

The performances of Model 2 (Lasso-MLP) applied on our pesticide dataset gave $R^2$ on the training and test set equal to 0.60 and 0.50, respectively (Table 2, Figure S2A & S2B). The RMSE obtained on the training and test set were equal to 1.19 and 1.27. On the validation set, the $R^2$ was equal to 0.49 and the RMSE equal to 1.36 (Table 2, Figure S2C). The percentage of error obtained thanks to these molecular descriptors and with a MLP was around 12%, which is twice as much as Model 1 (Bade-MLP) with 6% on the same compounds.

The performances of Model 3 (Pearson-MLP) applied on our pesticide dataset gave $R^2$ on the training and test set equal to 0.79 and 0.79, respectively (Table 2, Figure S3A & S3B). The RMSE obtained on the training and test set were equal to 0.86 and 0.83. On the validation set, the $R^2$ was equal to 0.79 and the RMSE equal to 0.88 (Table 2, Figure S3C). The percentage of error obtained thanks to these molecular descriptors and with a MLP was around 8%, which is less good as Model 1 (Bade-MLP) with 6% on the same compounds but much better than Model 2.

The performances of Model 4 (RFE-MLP) applied on our pesticide dataset gave $R^2$ on the training and test set equal to 0.69 and 0.60, respectively (Table 2, Figure S4A & S4B). The RMSE obtained on the training and test set were equal to 1.04 and 1.15. On the validation set, the $R^2$ was equal to 0.63 and the RMSE equal to 1.16 (Table 2, Figure S4C). The percentage of error obtained thanks to these molecular descriptors and with a MLP was around 10%, which is less good as Model 1 (Bade-MLP) with 6% on the same compounds, and less good as Model 3.

The performances of Model 5 (PCA1-MLP) applied on our pesticide dataset gave $R^2$ on the training and test set equal to 0.75 and 0.61, respectively (Table 2, Figure S5A & S5B). The RMSE obtained on the training and test set were equal to 0.94 and 1.12. On the validation set, the $R^2$ was equal to 0.64 and the RMSE equal to 1.14 (Table 2, Figure S5C). The percentage of error obtained thanks to these molecular descriptors and with a MLP was around 10%, which is less good as Model 1 (Bade-MLP) with 6% on the same compounds, and quite similar to Model 4.

The performances of Model 6 (PCA2-MLP) applied on our pesticide dataset gave $R^2$ on the training and test set equal to 0.42 and 0.34, respectively (Table 2, Figure S6A & S6B). The RMSE obtained on the training and test set were equal to 1.44 and 1.47. On the validation set, the $R^2$ was equal to 0.38 and the RMSE equal to 1.50 (Table 2, Figure S6C). The percentage of error obtained thanks to these molecular descriptors and with a MLP was around 13%, which is less good as Model 1 (Bade-MLP) with 6% on the same compounds, and the worst model developed with performances quite similar to Model 2.

The performances of Model 7 (PCA3-MLP) applied on our pesticide dataset gave $R^2$ on the training and test set equal to 0.61 and 0.53, respectively (Table 2, Figure S7A & S7B). The RMSE obtained on the training and test set were equal to 1.18 and 1.24. On the validation set, the $R^2$ was equal to 0.56 and the RMSE equal to 1.26 (Table 2, Figure S7C). The percentage of error obtained thanks to these molecular descriptors and with a MLP was around 11%, a little better than Model 5 but which is less good as Model 1 (Bade-MLP) with 6% on the same compounds.

The performances of Model 8 (PCA4-MLP) applied on our pesticide dataset gave $R^2$ on the training and test set equal to 0.82 and 0.75, respectively (Table 2, Figure S8A & S8B). The RMSE obtained on the training and test set were equal to 0.79 and 0.91. On the validation set, the $R^2$ was equal to 0.76 and the RMSE equal to 0.93 (Table 2, Figure S8C). The percentage of error obtained thanks to these molecular descriptors and with a MLP was around 8%, better than all the models developed thanks to the PCA approach and similar in term of performances to Model 3, but still less good as Model 1 (Bade-MLP).

Whatever the strategy used, the model which offers the best performances, is the Model 1 (Bade-MLP) inherited from the literature review. Nevertheless, the no a priori approach offers two models (Model 3 and Model 8) with effective performances. Among all the models developed thanks to the PCA approach, the Model 8 offers the best performances, and then comes next the Model 5 and 7 and finally the Model 6 that is the worst one.

3.3. Optimization of the hyperparameters

The QSRR models were optimized using an MLP through a gridsearch process. Nevertheless, the number of neurons per hidden layers was set manually and was determined by applying the recommendations of Geron (2017). Importantly, Geron mentions that the common practice of sizing the hidden layers to form a funnel, with an ever-decreasing number of neurons at each layer is no longer as common, and instead we can simply give the same size to all the hidden layers, resulting in only one hyperparameter to adjust instead of one per layer. Nonetheless, it is more useful, still according to Geron (2017), to increase the number of layers rather than the number of neurons per layer. For this reason, the number of hidden layers used by the gridsearch was between 1 to 5 layers, irrespective of the QSRR.

Once the number of neurons per hidden layer and the number of hidden layers are set, there remains a large number of hyperparameters to optimize. Nevertheless, some of them are more important than others, such as the activation function and the solver used. For this reason, the gridsearch for the activation function was done among the following functions: ReLu, tanh, and logistic. A gridsearch was also carried out to select the best solver among three possible choices (Adam, SGD and Lbfgs). The last hyperparameter to optimize through the gridsearch was the alpha value, which is a regularization parameter (L2 regularization); alpha value was comprised between 0.01 and 100 (Table 2). All the architecture of DNN and theire hyperparameters retained through the gridsearch for the models 1 to 8 are listed in Table 2. Hence, the number of layers are comprised between 1 to 5, two activation functions among three were used (ReLu and tanh) and the logistic function was never retained by the gridsearch, two solver (Adam and SGD) among three were used. Finally, despite the amplitude values of alpha, two alpha values were retained: 1 and 10.

4. Conclusions

We compared a literature review approach to a no a priori approach in order to select, by diverse strategies, the best set of molecular descriptors among 1545 MD in order to predict, through a QSRR model, the RPLC retention times of 792 pesticides. The literature review approach yielded the best results when DNN was used as the ML algorithm, with an $R^2$ of 0.82 and an RMSE of 0.67 min (Model 1) on the validation set. However, it could be useful in future research to test some other no a priori selection strategies in order to determine new MD datasets and also to consider reducing the number of MD with the goal to simplify the models while obtaining good predictions.

Declarations

Author contribution statement

Julien Parinet: Conceived and designed the experiments; Performed the experiments; Analyzed and interpreted the data; Contributed reagents, materials, analysis tools or data; Wrote the paper.
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Declaration of interests statement

The authors declare no conflict of interest.

Additional information

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