Neural Architecture Search using Deep Neural Networks and Monte Carlo Tree Search

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Abstract

Neural Architecture Search (NAS) has shown great success in automating the design of neural networks, but the prohibitive amount of computations behind current NAS methods requires further investigations in improving the sample efficiency and the network evaluation cost to get better results in a shorter time. In this paper, we present a novel scalable Monte Carlo Tree Search (MCTS) based NAS agent, named AlphaX, to tackle these two aspects. AlphaX improves the search efficiency by adaptively balancing the exploration and exploitation at the state level, and by a Meta-Deep Neural Network (DNN) to predict network accuracies for biasing the search toward a promising region. To amortize the network evaluation cost, AlphaX accelerates MCTS rollouts with a distributed design and reduces the number of epochs in evaluating a network by transfer learning, which is guided with the tree structure in MCTS. In 12 GPU days and 1000 samples, AlphaX found an architecture that reaches 97.84% top-1 accuracy on CIFAR-10, and 75.5% top-1 accuracy on ImageNet, exceeding SOTA NAS methods in both the accuracy and sampling efficiency. Particularly, we also evaluate AlphaX on NASBench-101, a large scale NAS dataset; AlphaX is 3x and 2.8x more sample efficient than Random Search and Regularized Evolution in finding the global optimum. Finally, we show the searched architecture improves a variety of vision applications from Neural Style Transfer, to Image Captioning and Object Detection.

1 Introduction

Designing efficient neural architectures is extremely laborious. A typical design iteration starts with a heuristic design hypothesis from domain experts, followed by the design validation with hours of GPU training. The entire design process requires many of such iterations before finding a satisfying architecture. Neural Architecture Search has emerged as a promising tool to alleviate human effort in this trial and error design process, but the tremendous computing resources required by current NAS methods motivate us to investigate both the search efficiency and the network evaluation cost.

AlphaGo/AlphaGoZero [Silver et al. 2016; Tian et al. 2019] have recently shown super-human performance in playing the game of Go, by using a specific search algorithm called Monte-Carlo Tree Search (MCTS) [Kocsis and Szepesvári 2006]. Given the current game state, MCTS gradually builds an online model for its subsequent game states to evaluate the winning chance at that state, based on search experiences in the current and prior games, and makes a decision. The search experience is from the previous search trajectories (called rollouts) that have been tried, and their consequences (whether the player wins or not).
Different from the traditional MCTS approach that evaluates the consequence of a trajectory by random self-play to the end of a game, AlphaGo uses a predictive model (or value network) to predict the consequence, which enjoys much lower variance. Furthermore, due to its built-in exploration mechanism using Upper Confidence bound applied to Trees (UCT) (Auer, Cesa-Bianchi, and Fischer 2002), based on its online model, MCTS dynamically adapts itself to the most promising search regions, where good consequences are likely to happen.

Inspired by this idea, we present AlphaX, a NAS agent that uses MCTS for efficient architecture search with meta-DNN as a predictive model to estimate the accuracy of a sampled architecture. Compared with Random Search, AlphaX builds an online model which guides the future search; compared to greedy methods, e.g. Q-learning, Regularized Evolution or Top-K methods, AlphaX dynamically trades off exploration and exploitation and can escape from locally optimal solutions with fewer search trials. Fig. 1 summarizes the trade-offs. Furthermore, while prior works applied MCTS to Architecture Search (Wistuba 2017; Negrinho and Gordon 2017), they lack an effective model to accurately predict rewards, and the expensive network evaluations in MCTS rollouts still remain unaddressed. Toward a practical MCTS-based NAS agent, AlphaX has two novel features: first, a highly accurate multi-stage meta-DNN to improve the sample efficiency; and second, the use of transfer learning, together with a scalable distributed design, to amortize the network evaluation costs. As a result, AlphaX is the first MCTS-based NAS agent that reports SOTA accuracies on both CIFAR-10 and ImageNet in on par with the SOTA end-to-end search time.

Table 1: **Highlights of NAS search algorithms**; compared to DeepArchitect and Wistuba, AlphaX makes several contributions toward a practical MCTS based NAS agent by improving the sample efficiency with an effective multi-stage meta-DNN, and amortizes the network evaluation costs by a distributed design and transfer learning.

### 2 Related Work

**Monte Carlo Tree Search:** DeepArchitect (Negrinho and Gordon 2017) implemented vanilla MCTS for NAS without a predictive model, and Wistuba (Wistuba 2017) uses statistics from the current search (e.g., RAVE and Contextual Reward Prediction) to predict the performance of a state. In comparison, our performance estimate is from both searched rollouts so far and a model (meta-DNN) learned from performances of known architectures and can generalize to unseen architectures. Besides, the prior works do not address the expensive network evaluations in MCTS rollouts, while AlphaX solves this issue with a distributed design and transfer learning, making important improvements toward a practical MCTS based NAS agent.

**Bayesian Optimization (BO):** A popular method for the hyper-parameter search (Kandasamy, Schneider, and Póczos 2015). BO has proven to be successful for small scale problems, e.g. hyper-parameter tuning of Stochastic Gradient Descent (SGD). Though BO variants, e.g. TPE (Bergstra et al. 2011), have tackled the cubic scaling issue in Gaussian Process, optimizing the acquisition function in a high dimensional search space that contains over $10^{17}$ neural architectures become the bottleneck.

**Reinforcement Learning (RL):** Several RL techniques have been investigated for NAS (Baker et al. 2016; Zoph and Le 2016). Baker et al. proposed a Q-learning agent to design network architectures (Baker et al. 2016). The agent takes a $\epsilon$-greedy policy: with probability $1 - \epsilon$, it chooses the action that leads to the best expected return (i.e. accuracy) estimated by the current model, otherwise uniformly chooses an action. Zoph et al. built an RNN agent trained with Policy Gradient to design CNN and LSTM (Zoph and Le 2016). However, directly maximizing the expected reward in Policy Gradient could lead to local optimal solution (Nachum, Norouzi, and Schuurmans 2016).

**Hill Climbing (HC):** Elsken et al. proposed a simple hill climbing for NAS (Elsken, Metzen, and Hutter 2017). Starting from an architecture, they train every descendent network before moving to the best performing child. Liu et al. deployed a beam search which follows a similar procedure to hill climbing but selects the top-K architectures instead of only the best (Liu et al. 2017a). HC is akin to the vanilla Policy Gradient tending to trap into a local optimum from which it can never escape, while MCTS demonstrates provable convergence toward the global optimum given enough samples (Kocsis and Szepesvári 2006).

**Evolutionary Algorithm (EA):** Evolutionary algorithms represent each neural network as a string of genes and search the architecture space by mutation and recombinations (Real et al. 2018). Strings which represent a neural network with top performance are selected to generate child models. The selection process is in lieu of exploitation, and the mutation is to encourage exploration. Still, GA algorithms do not consider the visiting statistics at individual states, and it lacks an online model to inform decisions.
3 AlphaX: A Scalable MCTS Design Agent

3.1 Design, State and Action Space

**Design Space**: the neural architectures for different domain tasks, e.g. object detection and image classification, follow fundamentally different designs. This renders different design spaces for the design agent. AlphaX is flexible to support various search spaces with an intuitive state and action abstraction. Here we provide a brief description of two search spaces used in our experiments.

- **NASNet Search Space**: (Zoph et al. 2017) proposes searching a hierarchical Cell structure as shown in Fig. 3a. There are two types of Cells, Normal Cell (NCell) and Reduction Cell (RCell). NCell maintains the input and output dimensions with the padding, while RCell reduces the height and width by half with the striding. Then the network is constituted by stacking multiple cells.

- **NASBench Search Space**: (Ying et al. 2019) proposes searching a small Direct Acyclic Graph (DAG) with each node representing a layer and each edge representing the inter-layer dependency as shown in Fig. 3b. Similarly, the network is constituted by stacking multiple such DAGs.

**State Space**: a state represents a network architecture, and AlphaX utilizes states (or nodes) to keep track of past trails to inform future decisions. We implement a state as a map that defines all the hyper-parameters for each network layer and their dependencies. We also introduce a special terminal state to allow for multiple actions. All the other states can transit to the terminal state by taking the terminal action, and the agent only trains the network, from which it reaches the terminal. With the terminal state, the agent freely modifies the architecture before reaching the terminal. This enables multiple actions for the design agent to bypass shallow architectures.

**Action Space**: an action morphs the current network architecture, i.e. current state, to transit to the next state. It not only explicitly specifies the inter-layer connectivity, but also all the necessary hyper-parameters for each layer. Unlike games, actions in NAS are dynamically changing w.r.t the current state and design spaces. For example, AlphaX needs to leverage the current DAG (state) in enumerating all the feasible actions of 'adding an edge'. In our experiments, the actions for the NASNet search domain are adding a new layer in the left or right branch of a Block in a cell, creating a new block with different input combinations, and the terminating action. The actions for the NASBench search domain are either adding a node or an edge, and the terminating action.

3.2 Search Procedure

This section elaborates the integration of MCTS and meta-DNN. The purpose of MCTS is to analyze the most promising move at a state, while the purpose of meta-DNN is to learn the sampled architecture performance and to generalize to unexplored architectures so that MCTS can simulate many rollouts with only an actual training in evaluating a new node. The superior search efficiency of AlphaX is due to balancing the exploration and exploitation at the finest granularity, i.e. state level, by leveraging the visiting statistics. Each node tracks these two statistics: 1) $N(s, a)$ counts the selection of action $a$ at state $s$; 2) $Q(s, a)$ is the expected reward after taking action $a$ at state $s$, and intuitively $Q(s, a)$ is an estimate of how promising this search
direction is. Fig demonstrates a typical searching iteration in AlphaX, which consists of Selection, Expansion, Meta-DNN assisted Simulation, and Backpropagation. We elucidate each step as follows.

Selection traverses down the search tree to trace the current most promising search path. It starts from the root and stops till reaching a leaf. At a node, the agent selects actions based on UCB1 (Auer, Cesa-Bianchi, and Fischer 2002):

$$\pi_{tree}(s) = \arg \max_{a \in A} \left[ \frac{Q(s,a)}{N(s,a)} + 2c\sqrt{\frac{\log N(s)}{N(s,a)}} \right], \quad (1)$$

where $N(s)$ is the number of visits to the state $s$ (i.e., $N(s) = \sum_{a \in A} N(s,a)$), and $c$ is a constant. The first term ($\frac{Q(s,a)}{N(s,a)}$) is the exploitation term estimating the expected accuracy of its descendants. The second term ($2c\sqrt{\frac{\log N(s)}{N(s,a)}}$) is the exploration term encouraging less visited nodes. The exploration term dominates $\pi_{tree}(s)$ if $N(s,a)$ is small, and the exploitation term otherwise. As a result, the agent favors the exploration in the beginning until building proper confidences to exploit. $c$ controls the weight of exploration, and it is empirically set to 0.5. We iterate the tree policy to reach a new node.

Expansion adds a new node into the tree. $Q(s,a)$ and $N(s,a)$ are initialized to zeros. $Q(s,a)$ will be updated in the simulation step.

Meta-DNN assisted Simulation randomly samples the descendants of a new node to approximate $Q(s,a)$ of the node with their accuracies. The process is to estimate how promising the search direction rendered by the new node and its descendants. The simulation starts at the new node. The agent traverses down the tree by taking the uniform-random action until reaching a terminal state, then it dispatches the architecture for training.

The more simulation we roll, the more accurate estimate of this search direction we get. However, we cannot conduct many simulations as network training is extremely time-consuming. AlphaX adopts a novel hybrid strategy to solve this issue by incorporating a meta-DNN to predict the network accuracy in addition to the actual training. We delay the introduction of meta-DNN to sec 3.3. Specifically, we estimate $q = Q(s,a)$ with

$$Q(s,a) \leftarrow \left( \frac{\text{Acc}(\text{sim}_0(s')) + \frac{1}{k} \sum_{i=1,k} \text{Pred}(\text{sim}_i(s'))}{2} \right) + q, \quad (2)$$

where $s' = s + a$, and $\text{sim}(s')$ represents a simulation starting from state $s'$. Acc is the actually trained accuracy in the first simulation, and $\text{Pred}$ is the predicted accuracy from Meta-DNN in subsequent $k$ simulations. If a search branch renders architectures similar to previously trained good ones, Meta-DNN updates the exploitation term in Eq [1] to increase the likelihood of going to this branch.

Backpropagation back-tracks the search path from the new node to the root to update visiting statistics. Please note we discuss the sequential case here, and the backpropagation will be split into two parts in the distributed setting (sec 3.3).

With the estimated $q$ for the new node, we iteratively back-propagate the information to its ancestral as:

$$Q(s,a) \leftarrow Q(s,a) + q, \quad N(s,a) \leftarrow N(s,a) + 1$$

until it reaches the root node.

### 3.3 The design of Meta-DNN and its related issues

Meta-DNN intends to generalize the performance of unseen architectures based on previously sampled networks. It provides a practical solution to accurately estimate a search branch with many simulations without involving the actual training (see the meta-DNN assisted simulation for details). New training data is generated as AlphaX advances in the search. So, the learning of Meta-DNN is end-to-end. The input of Meta-DNN is a vector representation of architecture, while the output is the prediction of architecture performance, i.e., test accuracy.

The coding scheme for NASNet architectures is as follows: we use 6-digits vector to code a Block: the first two digits represent up to two layers in the left branch, and the 3rd and 4th digits for the right branch. Each layer is represented by a number in $[1, 12]$ to represent 12 different layers, and the specific layer code is available in Appendix TABLE. We use 0 to pad the vector if a layer is absent. The last two digits represent the input for the left and right branch, respectively. For the coding of block inputs, 0 corresponds to the output of the previous Cell, 1 is the previous, previous Cell, and $i + 2$ is the output of Block$i$. If a block is absent, it is [0,0,0,0,0,0]. The left part of Fig demonstrates an example of NASNet encoding scheme. A Cell has up to 5 blocks, so a vector of 60 digits is sufficient to represent a state that fully specifies both $\mathcal{R}_{Cell}$ and $\mathcal{N}_{Cell}$. The coding scheme for NASBench architectures is a vector of flat adjacency matrix, plus the nodelist. Similarly, we pad 0 if a layer or an edge is absent. The right part of Fig demonstrates an example of NASBench encoding scheme. Since NASBench limits nodes $\leq 7$, $7 \times 7$ (adjacency matrix) + 7 (nodelist) = 56 digits can fully specify a NASBench architecture.

Now we cast the prediction of architecture performance as a regression problem. Finding a good metaDNN is heuristically oriented and it should vary from tasks to tasks. We calculate the correlation between predicted accuracies and true accuracies from the sampled architectures in evaluating the...
3.4 Transfer Learning

As MCTS incrementally builds a network with primitive actions, networks falling on the same search path render similar structures. This motivates us to incorporate transfer learning in AlphaX to speed network evaluations up. In simulation (Fig. 2), AlphaX recursively traverses up the tree to find a previously trained network with the minimal edit distance to the newly sampled network. Then we transfer the weights of overlapping layers, and randomly initialize new layers. In the pre-training, we train every sample for 70 epochs if no parent networks are transferable, and 20 epochs otherwise. Fig. 11 provides a study to justify the design.

3.5 Distributed AlphaX

It is imperative to parallelize AlphaX to work on a large scale distributed systems to tackle the computation challenges rendered by NAS. Fig. 5 demonstrates the distributed AlphaX. There is a master node exclusively for scheduling the search, while there are multiple clients (GPU) exclusively for training networks. The general procedures on the server side are as follows: 1) The agent follows the selection and expansion steps described in Fig. 2. 2) The simulation in MCTS picks a network arch into the job queue. We define arch as the selected network architecture at iteration n, and rollout from (arch) as the node which it started the rollout from to reach arch. 3) The agent preemptively backpropagates ̂q ← 1/k \cdot \sum_{i=1}^{k} \text{Pred}(\text{sim}_i(s')) based only on predicted accuracies from the Meta-DNN at iteration n.

\begin{align*}
Q(s, a) &\leftarrow Q(s, a) + ̂q, & N(s, a) &\leftarrow N(s, a) + 1, \\
s &\leftarrow \text{parent}(s), & a &\leftarrow \pi_{\text{tree}}(s).
\end{align*}

4) The server checks the receive buffer to retrieve a finished job from clients that includes arch, acc. Then the agent starts the second backpropagation to propagate q ← acc + ̂q (Eq. 2) from the node the rollout started (s ← rollout from (arch)) to replace the backpropagated ̂q with q:

\begin{align*}
Q(s, a) &\leftarrow Q(s, a) + q - ̂q, \\
s &\leftarrow \text{parent}(s), & a &\leftarrow \pi_{\text{tree}}(s).
\end{align*}

The client constantly tries to retrieve a job from the master job queue if it is free. It starts training once it gets the job, then it transmits the finished job back to the server. So, each client is a dedicated trainer. We also consider the fault-tolerance by taking a snapshot of the server’s states every few iterations, and AlphaX can resume the searching from the breakpoint using the latest snapshot.
Table 2: The comparisons of our NASNet search results to other state-of-the-art results on CIFAR-10. M is the number of sampled architectures in the search. The cell structure of other state-of-the-art results on CIFAR-10. M is the number of samples to the global optimal.

| Model            | Params | Err  | GPU days | M   |
|------------------|--------|------|----------|-----|
| NASNet-A+cutout  | 3.3M   | 2.65 | 2000     | 20000 |
| AmoebaNet-B+cutout | 2.8M   | 2.50 | 3150     | 27000 |
| DARTS+cutout     | 3.3M   | 2.76 | -        | -   |
| RENASNet+cutout  | 3.5M   | 2.86 | 6        | 4500 |
| AlphaX+cutout    | 2.83M  | 2.54 | 12       | 1000 |
| PNAS             | 3.2M   | 3.41 | 225      | 1160 |
| ENAS             | 4.6M   | 3.54 | 0.45     | -   |
| NAONet           | 10.6M  | 3.18 | 200      | 1000 |
| AlphaX           | 2.83M  | 3.04 | 12       | 1000 |
| NAS v3           | 7.1M   | 4.47 | 22400    | 12800 |
| Hier-EA          | 15.7M  | 3.75 | 300      | 7000 |
| AlphaX+cutout 128 filters | 31.36M | 2.16 | 12       | 1000 |

Table 3: Transferring the CIFAR architecture to ImageNet, and their results in the mobile setting.

| Model             | multi-adds | params | top1/top5 err |
|-------------------|-------------|--------|---------------|
| NASNet-A          | 564M        | 5.3M   | 26.0/8.4      |
| AmoebaNet-B       | 555M        | 5.3M   | 26.0/8.5      |
| DARTS             | 574M        | 4.7M   | 26.7/8.7      |
| RENASNet          | 574M        | 4.7M   | 24.3/7.4      |
| PNAS              | 588M        | 5.1M   | 25.8/8.1      |
| AlphaX            | 579M        | 5.4M   | 24.5/7.8      |

Figure 7: Finding the global optimum on NASBench-101: AlphaX is 3x, 2.8x faster than Random Search and Regularized Evolution on NASBench-101 (nodes ≤ 6). The results are from 200 trails with different random seeds. (c) and (d) show the performance of AlphaX in cases of with/without meta-DNN on NASBench-101.

Figure 8: Accuracy distribution of NASBench.

4 Experiments

4.1 Evaluations of architecture search

Open domain search: we perform the search on CIFAR-10 using 8 NVIDIA 1080 TI. One GPU works as a server, while the rest work as clients. To further speedup network evaluations, we early terminated the training at 70th epoch during the pre-training. We selected the top 20 networks from the pre-training and fine-tuned them additional 530 epochs to get the final accuracy. For the ImageNet training, we constructed the network with the same RCell and NCell searched on CIFAR10 following the accepted standard, i.e. the mobile setting, defined in (Zoph et al. 2017). In total, AlphaX sampled 1000 networks; and Fig. 6 demonstrates the architecture that yields the highest accuracy after fine-tuning. More details are available at appendix.

Table 2 and Table 3 summarize SOTA results on CIFAR10 and ImageNet, and AlphaX achieves SOTA accuracy with the least samples (M). Our end-to-end search cost, i.e. GPU days, is also on par with SOTA methods due to the early terminating and transfer learning. Notably, AlphaX achieves similar accuracy to AmoebaNet with 27x fewer samples for the case with cutout and filters = 32. Without cutout and filters = 32, AlphaX outperforms NAONet by 0.14% in the test error with 16.7x fewer GPU days.

Searching on NAS dataset: To further examine the sample efficiency, we evaluate AlphaX on the recent NAS dataset, NASBench-101 (Ying et al. 2019). NASBench enumerates all the possible DAGs of nodes ≤ 7, constituting of (420k+) networks and their final test accuracies. This enables bypassing the computation barrier to fairly evaluate the sample efficiency. In our experiments, we limited the maximal nodes in a DAG ≤ 6, i.e. constructing a subset of NASBench-101 that contains 64521 valid networks. This allows us to quickly repeat each algorithm for 200 trials. The search target is the network with the highest mean test accuracy (the global optimum) at 108th epochs, which can be known ahead by querying the dataset. We choose Random Search (RS) (Sciuto et al. 2019) and Regularized Evolution (RE) (Real et al. 2018) as the baseline, as RE delivers competitive results according to Table. 2 in the NASNet search space, and RS finds the global optimal in expected n/2, where n is the dataset size.

Fig. 7 demonstrates AlphaX is 2.8x and 3x faster than RE and RS, respectively. As we analyzed in Fig. 6, Random Search lacks an online model. Regularized Evolution only

4.2 Searching on NASBench-101: We perform the search on NASBench-101 following the accepted standard, i.e. the mobile setting, defined in (Zoph et al. 2017). In total, AlphaX sampled 1000 networks; and Fig. 6 demonstrates the architecture that yields the highest accuracy after fine-tuning. More details are available at appendix.
mutates on top-k performing models, while MCTS explicitly builds a search tree to dynamically trade off the exploration and exploitation at individual states. Please note that the slight difference in Fig. 7a actually reflects a huge gap in speed as indicated by Fig. 7b. From Fig. 8, it shows there are abundant architectures with minor performance difference to the global optimum. Therefore, it is fast to find the top 5% architectures, while slow in reaching the global optimum.

Qualitative evaluations of AlphaX: Several interesting insights are observable in Fig. 9. 1) MCTS invests more on the promising directions (high-value path), and less otherwise (low-value path). Unlike greedy based algorithms, e.g. hill-climbing, MCTS consistently explores the search space guided by the adaptive UCT. 2) the best performing network is not necessarily located on the most promising branch, highlighting the importance of exploration in NAS.

4.2 Component evaluations
Meta-DNN Design and its Impact: The metric in evaluating metaDNN is the correlation between the predicted v.s. true accuracy. We used 80% NASBench for training, and 20% for testing. Since DNNs have shown great success in modeling complex data, we start with Multilayer Perceptron (MLP) and Recurrent Neural Network (RNN) on building the regression model. Specific architecture details are available in appendix E. Fig. 10b and Fig. 10d demonstrate the performance of MLP (corr=0.784) is 4% better than RNN (corr=0.743), as the MLP (Fig. 10c) performs much better than RNN (Fig. 10a) in the training set. However, MLP still mispredicts many networks around 0.1, 0.4 and 0.6 and 0.8 (x-axis) as shown in Fig. 10d. This clustering effect is consistent with the architecture distribution in Fig. 8 for having many networks around these accuracies. To alleviate this issue, we propose a multi-stage model, the core idea of which is to have several dedicated MLPs to predict different ranges of accuracies, e.g. [0, 25%], along with another MLP to predict which MLP to use in predicting the final accuracy. Fig. 10f shows a multi-stage model successfully improves the correlation by 1.2% from MLP, and the mispredictions have been greatly reduced. Since the multi-stage model has achieved corr = 1 on the training set, we choose it as the backbone regression model for AlphaX. Fig. 7 demonstrates our meta-DNN is effective to sustain NAS.

Transfer Learning: the transfer learning significantly speeds network evaluations up, and Fig. 11 empirically validates the effectiveness of transfer learning. We randomly sampled an architecture as the parent network. On the parent network, we added a block with two new 5x5 separable conv layers on the left and right branch as the child network. We trained the parent network toward 70 epochs and saved its weights. In training the child network, we used weights from the parent network in initializing the child network except for two new conv layers that are randomly initialized.
Figure 11: Validation of transfer learning: transferring weights significantly reduces the number of epochs in reaching the same accuracy of random initializations (Transfer $17 \rightarrow 70$ epochs v.s. random initialization), but insufficient epochs loses accuracy (Transfer, 9 epochs).

Fig. 12 shows the accuracy progress of transferred child network at different training epochs. The transferred child network retains the same accuracy as training from scratch (random initialization) with much fewer epochs, but insufficient epochs lose the accuracy. Therefore, we chose 20 epochs in pre-training an architecture if transfer learning applied.

4.3 Algorithm Comparisons

Fig. 12 evaluates MCTS against Q-Learning (QL), Hill Climbing (HC) and Random Search (RS) on a simplified search space. Setup details and the introduction of the design domain are available in appendix D. These algorithms are widely used in NAS [Baker et al. 2016; Liu et al. 2017b; Elsken, Metzen, and Hutter 2017; Greff et al. 2017]. We conduct 10 trials for each algorithm. Fig. 12a demonstrates AlphaX is 2.3x faster than QL and RS. Though HC is the fastest, Fig. 12a indicates HC traps into a local optimal. Interestingly, Fig. 12b indicates the inter-quartile range of QL is longer than RS. This is because QL quickly converges to a suboptimal, spending a huge time to escape. This is consistent with Fig. 12a that QL converges faster than RS before the 50th samples, but random can easily escape from the local optimal afterward. Fig. 12b (MCTS v.s. AlphaX) further corroborates the effectiveness of meta-DNN.

4.4 Improved Features for Vision Applications

CNN is a common component for Computer Vision (CV) models. Here, we demonstrate the searched architecture can improve a variety of downstream Computer Vision (CV) applications. Please check the Appendix Sec.F for the experiment setup.

1) Neural Style Transfer: AlphaX-1 is better than a shallow network (VGG) in capturing the rich details and textures of a sophisticated style image (Fig. 13).

2) Object Detection: We replace MobileNet-v1 with AlphaX-1 in SSD [Liu et al. 2016] object detection model, and the mAP (mini-val) increases from 20.1% to 23.7% at the 300 × 300 resolution. (Fig 16 appendix).

3) Image Captioning: We replace the VGG with AlphaX-1 in show attend and tell [Xu et al. 2015]. On the 2014 MSCOCO-val dataset, AlphaX-1 outperforms VGG by 2.4 (RELU-2), 4.4 (RELU-3), 3.7 (RELU-4), respectively (Fig 17 appendix).

5 Conclusion

In this paper, we propose a new MCTS based NAS agent named AlphaX. Compared to prior MCTS agents, AlphaX is the first practical MCTS based agent that achieves SOTA results on both CIFAR-10 and ImageNet in a reasonable amount of computations by improving the sampling efficiency with a novel predictive model meta-DNN, and by amortizing the network evaluation costs with a scalable solution and transfer learning. In 3 search tasks, AlphaX consistently demonstrates superior search efficiency over mainstream algorithms, highlighting MCTS as a promising search algorithm for NAS.

References

[Auer, Cesa-Bianchi, and Fischer 2002] Auer, P.; Cesa-Bianchi, N.; and Fischer, P. 2002. Finite-time analysis of the multiarmed bandit problem. Machine learning 47(2-3):235–256.
A Pseudocode of AlphaX

In this section, we present the pseudocode of distributed AlphaX. Algorithm 1 describes the search engine; Algorithm 2 describes the procedures of server that implement a client-server communication protocol to send an architecture searched by MCTS to a client for training. Algorithm 3 describes the procedures of client that consistently listen new architectures from the server for training, and send the accuracy and network back to the server after training.

Algorithm 1 Client

1: Require: Start working once building connection to the server
2: while True do
3: if The client is connected to server then
4: \( \text{network} \leftarrow \text{Receive()} \)
5: \( \text{accuracy} \leftarrow \text{Train(network)} \)
6: Send \((\text{network}, \text{accuracy})\) to the Server
7: else
8: Wait for re-connection
9: end if
10: end while

Algorithm 2 Server

1: while \( \text{size}(\text{TASK\_QUEUE}) > 2 \) do
2: while no idle client do
3: Continue \( \triangleright \) Wait for dispatching jobs until there are idle clients
4: end while
5: Create a new connection to a random idle client
6: \( \text{network} \leftarrow \text{TASK\_QUEUE}.\text{pop()} \)
7: Send \( \text{network} \) to a Client
8: if Received\_Signal() then
9: \( \text{network}, \text{accuracy} \leftarrow \text{Receive\_Result()} \)
10: acc(network) \( \leftarrow \) accuracy
11: \( \text{state} \leftarrow \text{rollout\_from(network)} \)
12: Backpropagation(state, \((\text{accuracy} - \hat{q}(state))/2, 0\)) \( \triangleright \) Replace \( \hat{q} \) with \( q = Q(s, a) \) in Eq. 2
13: Train the meta-DNN with a new data \((\text{network}, \text{accuracy})\)
14: else
15: Continue
16: end if
17: end while

Algorithm 3 Search Engine (MCTS)

1: function Expansion(state)
2: Create a new node in a tree for state.
3: for all action available at state do
4: \( Q(state, action) \leftarrow 0, N(state, action) \leftarrow 0 \)
5: end for
6: end function

7: function Simulation(state)
8: action \( \leftarrow \) none
9: while action is not term do
10: randomly generate an action
11: next\_net \( \leftarrow \text{Apply}(state, action) \)
\( \triangleright \) Apply returns the next state when action is applied to state
12: end while
13: end function
14: end function

15: function Backpropagation(state, \( q, n \))
16: while state is not root do
17: state \( \leftarrow \) parent(state)
18: \( Q(state, action) \leftarrow Q(state, action) + q \)
19: \( N(state, action) \leftarrow N(state, action) + n \)
20: end while
21: end function
22: end function

23: Require: Start from the root
24: while episode < MAX\_episode do
25: Server()
26: cur\_state \( \leftarrow \text{root\_node} \)
27: \( i \leftarrow 0 \)
28: while \( i < \text{MAX\_tree\_depth} \) do
29: \( i \leftarrow i + 1 \)
30: next\_action \( \leftarrow \text{Selection}(cur\_state) \) \( \triangleright \) Select an action based on Eq. 2
31: if next\_state not in tree then
32: next\_state \( \leftarrow \text{Expansion(next\_action)} \)
33: \( T_i \leftarrow \text{Simulation}_i(\text{next\_state}) \) for \( t = 0 \ldots k \)
\( \triangleright k \) is the number of simulations we run using the Meta-DNN
34: \( \text{TASK\_QUEUE}.\text{push}(T_0) \)
35: rollout\_from(T_0) \( \leftarrow \) next\_state
36: \( \hat{q}(\text{next\_state}) \leftarrow \frac{1}{k} \sum_{i=1}^{k} \text{Pred}(T_i) \)
\( \triangleright \) Pred returns an accuracy predicted by the Meta-DNN
37: Backpropagation(next\_state, \( \hat{q} \)) \( \triangleright \) Preemptive backpropagation to send \( \hat{q} \)
38: end if
39: end while
40: end while
41: end while
B Details of the State and Action Space

This section describes the state and action space for NASNet design space.

We constrain the state space to make the design problem manageable. The state space exponentially grows with the depth: a k layers linear network has $n^k$ architecture variations, where n is the number of layer types. We leverage the GPU DRAM size, our current computing resources and the design heuristics from leading DNNs, to propose the following constraints on the state space: 1) a branch has at most 1 layer; 2) a cell has at most 5 blocks; 3) the depth of blocks is limited to 2; 5) we use layers listed in TABLE[1].

Actions also preserve the constraints imposed on the state space. If the next state reaches out of the design boundary, the agent automatically removes the action from the action set. For example, we exclude the "adding a new layer" action for a branch if it already has 1 layer. So, the action set is dynamically changing w.r.t states.

C Experiment Setup for Section 4.1

C.1 Setup for searching networks on NASBench

Regularized Evolution: our implementation of Regularized Evolution (Real et al. 2018) is from[1]. The population size is set to 500 to find the global optimum, and the tournament size is 50. We only mutate the best architecture in the tournament set and replace the oldest individual in the population. We terminate the search once it finds the best architecture on NASBench.

AlphaX: the only modification for AlphaX on NASBench is at the network training that queries an architecture performance instead of training. $c$ in Eq. [1] is set to 2, and the number of predictions from meta-DNN is set to 10. The design and setup of meta-DNN are described in Sec. 4.2 and Sec. 4.3.

C.2 Setup for searching networks on CIFAR

We used 8 NV-1080ti gpus for the open domain search. One GPU serves as the dedicated server, while the remaining gpus are clients for training the architectures sent from the server. The setup details are as follows: 1) we early terminate the training at the 70th epoch, then rank networks to get top-10 architectures. We trained an additional 530 epochs on top-10 architectures to get their final accuracy; 2) we applied cutout (Zoph et al. 2017) during the training, and the cutout uses 1 crop of size $16 \times 16$; 3) we applied cosine annealing learning rate schedule (Loshchilov and Hutter 2017) in the training, and the base learning rate is 0.025, the batch size is 96; 4) we used the momentum optimizer with momentum rate set to 0.9 and L2 weight decay; 5) we use dropout ratio schedule in the training. The droppath ratio is set to 0.3 and dense dropout ratio is set to 0.2 for searching procedure and applied ScheduleDropPath (Zoph et al. 2017) for the final training; 6) we use an auxiliary classifier located at 2/3 of depth of the network. The loss of the auxiliary classifier is weighted by 0.4 (Szegedy et al. 2015). 7) the weights of architecture are initialized with Gaussian distribution with $\mu = 0$ and $\sigma = 0.01$. 8) we randomly crop 32x32 patches from upsampled images of size $40 \times 40$, and apply random horizontal flips (Zoph et al. 2017).

C.3 Setup for ImageNet

The setup for training AlphaX-1 toward ImageNet are as follows: 1) we construct the network for ImageNet with searched RCell and NCell according to Fig. 6 in (Zoph et al. 2017); 2) the input image size is $224 \times 224$; 3) our models for ImageNet use polynomial learning rate schedule, starting with 0.05 and decay through 200 epochs; 4) we use the momentum optimizer with momentum rate set to 0.9; 6) the dropout rate at the the final dense layer is 0.5; 7) the weights of an architecture are initialized with Gaussian distribution with $\mu = 0$ and $\sigma = 0.01$.

D Experiment Setup for Section 4.3

The state space consists of sequential ConvNet, e.g. AlexNet or VGG. The possible hyper-parameters of a convolution layer are stride $\in [1, 2]$, filters $\in [32, 64]$, and kernels $\in [2, 4]$, and the maximum depth of a ConvNet is set to 3. The final layer of a ConvNet is always a dense layer followed by a softmax.

The possible actions are 1) adding a convolution layer; 2) choosing/changing an activation for a convolution layer; 3) changing a hyper-parameter of a convolution layer, e.g. filters from 32 to 64. At any state, the action set also consists of a special terminal action with a fixed probability that signals MCTS, random, and Q-learning to terminate the current search episode.

Random: the agent randomly selects actions, and terminates the search once it hits a terminal action. Then the agent trains the network represented by the state where it hits the terminal to report accuracy.

Q-learning: we used tabular Q-learning agent with $\epsilon$-greedy strategy. The learning rate is set to 0.2, and the discount factor is 1. We fixed $\epsilon$ to 0.2, and initialized the Q-value with 0.5.

Table 4: The code of different layers

| layers        | code | layer               | code | layer               | code | layer               |
|---------------|------|---------------------|------|---------------------|------|---------------------|
| 3x3 avg pool  | 1    | 3x3 max pool        | 4    | 3x3 conv            | 7    | 3x3 depth-separable conv |
| 5x5 avg pool  | 2    | 5x5 max pool        | 5    | 5x5 conv            | 8    | 5x5 depth-separable conv |
| 7x7 avg pool  | 3    | 7x7 max pool        | 6    | identity            | 9    | 7x7 depth-separable conv |

\textsuperscript{1}https://github.com/google-research/nasbench/blob/master/NASBench.ipynb
**Codes**

![Diagram](image1.png)

(a) RNN predictor  
(b) MLP predictor

**Figure 14:** Architecture of metaDNN: (a) the architecture of recurrent neural network style metaDNN (b) the architecture of multilayer perceptron style metaDNN.

![Diagram](image2.png)

Figure 15: Cell based architecture of AlphaX model

**Hill Climbing:** the agent trains every architecture in the child nodes, and greedily chooses the next child node in a fashion similar to PNAS (Liu et al. 2017a). We terminated the search once it sticks into a local optimum, and restarted the process at different random states.

**E MetaDNN Designs and Setup**

**E.1 Setup for the RNN based meta-DNN**

The detailed configurations of LSTM based meta-DNN are as follows. The hidden state size is 100, and the embedding size is 100. The final LSTM hidden state goes through a fully-connected layer to get the final validation accuracy. Fig.14a shows the architecture of the RNN predictor.

The setup for the RNN training are: 1) the training lasts 20 epochs on currently collected samples; 2) the base learning rate is 0.00002 and the batch size is 128; 3) we use the Adam optimizer for the training; 4) we uniformly initialize the network in the range of [-0.1, 0.1].

**E.2 Setup for the MLP based meta-DNN**

The multi-stage model is an ensemble of multiple MLP models. The structure of an MLP is 512→2048→2048→512→1, as shown by Fig.14b. The setup for training a MLP are: 1) the training lasts 20 epochs on currently collected samples; 2) the learning rate is set to 0.00002 in an Adam optimizer and the batch size is 128; 4) we uniformly initialize the network in the range of [-0.1, 0.1].

**F Setup for Vision Models**

**F.1 Object detection**

We use AlphaX-1 model pre-trained on ImageNet dataset as the backbone. The training dataset is MSCOCO for object detection (Lin et al. 2014a) which contains 90 classes of objects. Each image is scaled to 300 × 300 in RGB channels. We trained the model with 200k iterations with 0.04 initial learning rate and the batch size is set to 24. We applied the exponential learning rate decay schedule with the 0.95 decay factor. Our model uses momentum optimizer with momentum rate set to 0.9. We also use the L2 weight decay for training. We process each image with random horizontal flip and random crop (Liu et al. 2016). We set the matched threshold to 0.5, which means only the probability of an object over 0.5 is effective to appear on the image. We use 8000 subsets of validation images in MSCOCO validation set and report the mean average precision (mAP) as computed with the standard COCO metric library (Lin et al. 2014b).

**F.2 Neural style**

We implement the neural style transfer application by replacing the VGG model to AlphaX-1 model (Gatys, Ecker,
Figure 17: *Image Captioning:* AlphaX-1 captures more details than VGG in the captions.

F.3 Image captioning

The training dataset of image captioning is MSCOCO (Lin et al. 2014a), a large-scale dataset for the object detection, segmentation, and captioning. Each image is scaled to \(224 \times 224\) in RGB channels and subtract the channel means as the input to a AlphaX-1 model. For training AlphaX-1 model, We use the SGD optimizer with the 16 batch size and the initial learning rate is 2.0. We applied the exponential learning rate decay schedule with the 0.5 decay factor in every 8 epochs.