Explainability and Adversarial Robustness for RNNs

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Abstract—Recurrent Neural Networks (RNNs) yield attractive properties for constructing Intrusion Detection Systems (IDSs) for network data. With the rise of ubiquitous Machine Learning (ML) systems, malicious actors have been catching up quickly to find new ways to exploit ML vulnerabilities for profit. Recently developed adversarial ML techniques focus on computer vision and their applicability to network traffic is not straightforward: Network packets expose fewer features than an image, are sequential and impose several constraints on their features.

We show that despite these completely different characteristics, adversarial samples can be generated reliably for RNNs. To understand a classifier’s potential for misclassification, we extend existing explainability techniques and propose new ones, suitable particularly for sequential data. Applying them shows that already the first packets of a communication flow are of crucial importance and are likely to be targeted by attackers. Feature importance methods show that even relatively unimportant features can be effectively abused to generate adversarial samples. Since traditional evaluation metrics such as accuracy are not sufficient for quantifying the adversarial threat, we propose the Adversarial Robustness Score (ARS) for comparing IDSs, capturing a common notion of adversarial robustness, and show that an adversarial training procedure can significantly and successfully reduce the attack surface.

I. INTRODUCTION

There is a significant body of scientific work focusing on the detection of unwanted behavior in networks. In the past, a viable way of performing intrusion detection was to inspect the content of packets themselves and detect if a packet delivers potentially harmful content. More recently, with the increasing deployment of encryption, the focus now lies on features that are always available to network monitoring equipment like port numbers, protocol flags or packet sizes when encrypting above the transport layer.

Network communication is usually aggregated into flows, which are commonly defined as a sequence of packets sharing certain properties. When analyzing flows, not only the aforementioned features are available but also features related to the timing of the individual packets. Various approaches have been proposed to extract features from flows and then perform anomaly detection with the extracted flows. While these approaches frequently work well, it is problematic that the whole flow has to be received first and only afterwards anomaly detection is applied, revealing attack flows. Thus, we design a network IDS that operates on a per-packet basis and decides if a packet is anomalous based on features that are available even for traffic that is encrypted above the transport layer, like for example TLS or QUIC. At the same time, an RNN-based IDS has the benefit of avoiding tedious feature engineering procedures, which derive statistical measures from the sequence of packet features, but providing any available information to the classifier. We show that our system has similar performance to other flow-based anomaly detection systems but can detect anomalies before the flow terminates.

However, for practical use, high detection accuracy is not enough. With the recent rise of interest in Adversarial Machine Learning (AML) techniques, also AML for IDSs has been investigated. For example, [2] investigates remedies for poisoning attacks on IDSs and [3] investigate adversarial robustness of common network IDSs. In this research, we investigate whether adversarial samples can be found for our RNN-based model, i.e. minimally different attack flows which are classified as benign. This is not a trivially answerable question since adversarial samples have mostly been analyzed in the context of computer vision. Our scenario significantly deviates from computer vision because 1) the number of features is significantly smaller and 2) only certain features can be manipulated if the flow should remain valid.

Surprisingly, we can confirm that adversarial samples can be found even when considering these tight constraints. Thus, we argue that traditional performance metrics like, e.g., accuracy are not sufficient for evaluating security-sensitive ML systems. We propose the Adversarial Robustness Score (ARS) as a new performance score, which captures the notion of how easily an adversary can generate adversarial samples.

Due to the threat of adversarial attacks, a further crucial requirement for ML-based IDSs is that the classifier’s decisions are interpretable by humans. This recently stirred up increased interest in explainability methods. Also in this case, common methods are designed to work with images or tabular data, but not with sequences. Hence, we extend existing explainability methods such as Partial Dependence Plots (PDPs) [4] for sequential data. Astonishingly, feature importance methods reveal that features, which are manipulated for successful adversarial flows, are not even particularly important for the RNN’s classification outcome.

Based on the insights gained by the feature importance and explainability methods, we propose two defense methods. First, by simply leaving out manipulable features, we obtain a classifier which is slightly less accurate but is still useful to be deployed in a real scenario. Second, by deploying an adversarial training procedure, we can reduce the attack surface and harden the resulting IDS while retaining all features and similar classification performance.

We make all the source code, data and figures freely available to enable reproducibility and encourage experimentation at https://github.com/CN-TU/adversarial-recurrent-ids.
II. AN RNN-BASED CLASSIFIER

We implemented a three-layer LSTM-based classifier with 512 neurons at each layer. As the input features we use source port, destination port, protocol identifier, packet length, Interarrival time (IAT) to the previous packet in the flow, packet direction (i.e. forward or reverse path) and all TCP flags (0 if the flow is not TCP). We omitted Time-to-Live (TTL) values, as they are likely to lead to unwanted prediction behavior [2]. Among the used features, source port, destination port and protocol identifier are constant over the whole flow while the others vary. During flow extraction we used the usual 5-tuple flow key, which distinguishes flows based on the protocol they use and their source and destination port and IP address. We use Z-score normalization and a train/test split of 2:1.

For evaluation, we use the CIC-IDS-2017 [5] and UNSW-NB15 [6] datasets which each include more than 2 million flows of network data, containing both benign traffic and a large number of different attacks. Attacks contained in the datasets are shown in Table I. Table II shows that our RNN-based classifiers achieve an accuracy that is similar to previous datasets which each include more than 2 million packets. We now investigate whether known AML methods can be used for generating adversarial flows for our RNN. [3] previously studied the behavior of several Network IDSs under adversarial attacks but unlike us did not investigate RNNs.

A network packet contains significantly less features than, e.g., an image and, furthermore, most features such as TCP flags cannot be easily manipulated, as their manipulation might violate the protocol specifications and thus cause communication to fail. We identify the packet length and the IAT as features which are most likely to be exploited and thus choose to be modified by the adversary. But even these features cannot be manipulated due to problem-specific constraints:

- Only packets can be manipulated which are transmitted by the attacker, except for botnet and backdoor traffic, which is entirely controlled by an attacker and thus only packets travelling in one direction can be manipulated.
- Packets must not be smaller than initially, as otherwise less information could be transmitted.
- IATs must not decrease, as otherwise the physical speed of data transmission can be violated in some cases. An in-depth analysis of cases in which reduction of IATs is legitimate is complex, so we generally disallowed IAT reductions.

Several AML methods have been proposed in the recent literature, achieving different speed-quality tradeoffs: [7] shows that it is possible to create adversarial samples for an image, which look similar to the original image but are classified wrongly. [8] develops the Fast Gradient Sign Method (FGSM), which makes easy generation of adversarial samples possible. [9] explores the use of AML for RNNs, but lacks important AML methods. We implemented the following AML methods.

A. Carlini-Wagner

We implemented the Carlini-Wagner method (CW) [10], performing gradient descent on the optimization objective

\[ d(X, \hat{X}) + \kappa \max(Z(\hat{X}), \delta). \]  

Here, \( d(\cdot) \) is a distance metric and \( \kappa \in \mathbb{R}^+ \) is a parameter governing the tradeoff achieved between attack success and distance from the original flow. Furthermore, \( Z(\cdot) \) denotes the neural network’s logit output, \( X \) denotes the original flow and \( \hat{X} \) the adversarial flow optimized by CW.

\( \delta \in \mathbb{R} \) is a parameter that determines how far an adversary wants to exceed the decision boundary. In the original publication \( \delta = 0 \), meaning that the network’s decision for adversarial samples is just between attack and benign traffic. In the present context, we need to make sure that the classifier’s prediction would actually be benign, even though a certain level of noise will be added to IATs due to the network between attacker and victim. Hence, we introduced \( \delta = -0.2 \), corresponding to a prediction confidence of 55% for the sample to be benign after the sigmoid activation function.

We used \( L_1 \) as distance metric, as we consider \( L_1 \) distance to represent practically relevant differences of network flows best. We used Projected Gradient Descent (PGD) for meeting the real-world constraints discussed above.

B. \( L_{\infty} \)-bounded Projected Gradient Descent

[11] uses a method for generating adversarial samples which deploys PGD to maximize the network’s loss function

| Attack type | Proportion |
|-------------|------------|
| DoS Hulk    | 10.10%     |
| PortScan, Firewall | 6.90% |
| DDoS LOIT   | 4.08%      |
| Infiltration| 3.30%      |
| DoS GoldenEye | 0.32% |
| DoS SlowHTTPTest | 0.18% |
| DoS Slowloris| 0.17%   |
| Brute-force SSH | 0.11% |
| Botnet ARES | 0.03%      |
| XSS attack  | 0.03%      |
| PortScan, no Fw. | 0.02% |
| Brute-force FTP | 0.01% |
| SQL injection| <0.01% |
| Heartbleed   | <0.01%     |

| Attack type | Proportion |
|-------------|------------|
| Exploits    | 1.42%      |
| Fuzzers     | 1.01%      |
| Reconnaissance | 0.58%   |
| Generic     | 0.21%      |
| DoS         | 0.19%      |
| Shellcode   | 0.08%      |
| Analysis    | 0.03%      |
| Backdoors   | 0.02%      |
| Worms       | 0.01%      |

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TABLE II: Performance metrics per packet and per flow.
while constraining the achieved $L_\infty$ distance from the original samples. Hence, an important difference to CW is that for this method the network’s loss instead of its logit output is considered. We consider this method an interesting combination of CW and FGSM. Since its functioning is somewhat similar to CW, we expected the generated adversarial samples to be similarly close to the original samples.

C. Fast Gradient Sign Method

Finally, we also tested the FGSM [8], which is the first method for generating adversarial samples. FGSM can be considered a single pass of PGD on the loss function with an equality constraint on the $L_\infty$ distance, i.e. the adversarial sample is found as

$$\tilde{X} = X + \epsilon \text{sgn}(\nabla_X L(X)),$$

where $L(X)$ denotes the network’s loss function and $\epsilon$ denotes the achieved $L_\infty$ distance.

As Figure 1 shows, for most attack types, most samples can be modified by an adversary to be classified as benign by using CW. High recall for a particular attack type does not imply that adversarial samples are hard to find for these attacks. Thus we argue that beside the classical metrics such as accuracy, false positives etc., a metric is needed, which quantifies how easily an IDS classifier can be fooled.

IV. ADVERSARIAL ROBUSTNESS METRIC

As Figure 1 shows, for most attack types, most samples can be modified by an adversary to be classified as benign by using CW. High recall for a particular attack type does not imply that adversarial samples are hard to find for these attacks. Thus we argue that beside the classical metrics such as accuracy, false positives etc., a metric is needed, which quantifies how easily an IDS classifier can be fooled.

Such a metric should be easy to compute and easy to interpret. While in general adversarial robustness for ML models is frequently quantified as the average or median of minimum distances of adversarial samples [12], we found no generally agreed-upon metric for IDSs in the literature. If we consider flows, for which no adversarial sample can be found, to have infinite distance, the median has the advantage of ignoring such unsuccessful samples and outliers. On the other hand, the median might depict expected distances badly if they have a very uneven distribution.

We thus propose the ARS as follows. Let $S$ denote the set of samples, $N = |S| \in \mathbb{N}$ the total number of samples and $d_s \in \mathbb{R}_0^+$ the distance of an adversarial flow from the original flow for a sample $s \in S$, assigning unsuccessful samples a distance of $\infty$. We define the ARS as

$$\text{ARS} = \frac{1}{\lfloor N/2 \rfloor} \sum_{s \in \hat{S}} d_{\tilde{s}},$$

with $\hat{S} \subset S$ denoting a set of size $|\hat{S}| = \lfloor N/2 \rfloor$, so that $d_{\tilde{s}} \leq d_s$ for all $\tilde{s} \in \hat{S}, s \in S \setminus \hat{S}$. The ARS is thus approximately the average of distances not larger than the median distance.
We consider an adversary successful if he can cause at least 50% of all samples to be misclassified. In this case, the ARS is the average of the distances of the adversarial samples to the original samples for the 50% of all samples which have the smallest distances. If the adversary doesn’t manage to manipulate enough samples, the ARS is $\infty$.

CW is able to find adversarial samples with minimum distance, but becomes slow for large $\kappa$. Hence, it can be used for finding the ARS efficiently as follows: Use CW with a small tradeoff, trying to generate adversarial samples for an attack type. If at least $N/2$ are wrongly classified, and the smallest distance of non-adversarial samples is not smaller than the $\lceil \frac{N}{2} \rceil$ smallest distance of adversarial samples, stop and compute the ARS. Otherwise increase $\kappa$ and repeat. If after a predefined number of iterations – e.g., 100 – still not more than half of the samples are adversarial, also break and set the ARS to $\infty$.

The larger the ARS is, the more robust the model is, as then an adversary needs to modify the samples more to make them adversarial. If not more than half of the samples could be made adversarial, our metric is $\infty$ since then apparently it is not possible for an adversary to reliably conduct adversarial attacks on the majority of samples. In this case, the ratio of samples that could be made adversarial can be a useful metric to determine the exact extent of the adversarial threat.

Setting the threshold for the ARS to 50% is arbitrary, but reasonable as outliers with very large distances are ignored and because if an attacker can make the majority of samples adversarial, we argue that its attack is “successful”.

![Figure 3](image-url) Recall for unmodified flows and ARS for attacks in CIC-IDS-2017. For “PortScan, Firewall” recall never falls below 66%: The attack does not succeed and the ARS is $\infty$.

**V. EXPLAINING RECURRENT NEURAL NETWORKS**

Having verified the effectiveness of AML for our RNNs, we now investigate how the classifiers come to a decision. From a naive perspective, one might be tempted to reuse existing explainability methods for RNNs by considering a flow the sum of its packet features. We identify several difficulties which occur when trying to explain decisions made by RNNs.

- **Feature quantity.** The number of features fed into an RNN is the number of packet features times the length of the flow. For long flows, the total number of inputs can become very large.
- **Variable sequence lengths.** The length of different flows might differ tremendously. Hence, features at one particular time step might be important for the network’s outcome for one flow, but not even exist for other flows.
- **Lack of a distance measure.** However, even if we restricted the analysis to flows of a constant length, a flow is different from the plain concatenation of its packet features. For example, in a sentence, which is sequence of words, parts can be rearranged, giving a different sequence with possibly the exact same meaning.
- **Multiple prediction outputs.** Often an RNN produces an output at each time step. When applying explainability methods, the question arises which output to consider for the method. The natural choice is to base the methods on the prediction output which occurs at the same time step as the feature under investigation: This approach is less complex compared to considering also features of all earlier time steps. Also, we expect the current prediction outcome to more dependent on the current feature, compared to a feature from many steps ago. However, due to the complex decision processes of deep neural networks, this is not always true and a feature might influence a decision many time steps later.

Many explainability methods proposed recently are local and thus provide explanations for a particular data sample [13, 14, 15, 16]. However, for the particular problem of network traffic, due to the high number of flows and the characteristics of data, analyzing individual samples is of low interest. Explainability methods presented in this paper therefore aim to understand a model by analyzing which features are important, at which time step they are important and which feature values lead to classification as attack.

**A. Feature Importance Metrics**

As a first step to understanding the neural network’s decisions, we estimate how important individual features are for the model’s predictions. When investigating an ML classifier, it is natural to ask which inputs have a large influence on the classifier’s prediction. We feel the need to distinguish metrics for this purpose based on their main aim:

A large amount of research has been spent on finding feature importance metrics, which allow the selection of high-importance features, providing a reasonably good classification performance while resulting in a more light-weight classifier.

Conversely, both adversarial machine learning and explainable machine learning bring up the question to what extent individual features are able to change the prediction outcome. While appearing similar, traditional feature importance can yield markedly wrong results for this case. To distinguish, we propose the term feature sensitivity for such metrics. To analyze features, we use the following approaches:
1) Neural Network Weights: In previous works [17], a simple method for determining feature importance in neural networks has been summing up neural network weights leading from a certain input to the prediction outcome. The weights method can be considered for both feature importance and feature sensitivity, however, clearly, especially in the case of complex network architectures, this method is likely to provide wrong results. Hence, we provide results for the weights method mainly for comparison. Note that an LSTM cell alone has four weights leading from one input to an output.

2) Input Perturbation: The most commonly deployed feature importance techniques, used by practitioners for RNNs [18] and Deep Learning (DL) [19, 20, 17], are based on adding noise to a particular feature and evaluating the drop in accuracy that occurs. We argue that it is hard to determine the "correct" intensity of noise to add. Hence, we sample the value for a feature from the distribution of all values of this feature in the dataset. This makes the method non-parametric since the noise distribution does not need to be chosen. We ensured that features which stay constant for a flow, i.e. source port, destination port and protocol, also stay constant throughout the flow when randomizing the feature.

3) Feature Dropout: While the perturbation method is convenient since it is easy to implement and understand, we argue that it has some shortcomings: The RNN was never trained for dealing with “garbage” values that the randomization creates. For example, completely unrealistic feature combinations could occur that were never observed during training. Furthermore, sequences of features could occur that cannot occur in reality.

To evaluate true feature importance, we thus develop a more sound method called feature dropout: When training a model, for each sample, we leave out each feature with independent probability \( \frac{1}{n} \), \( n \in \mathbb{N} \) being the number of features, by setting it to zero. On average, one feature gets zeroed out but it is also possible that none or more than one are left out. This procedure is equivalent to using dropout [21] with probability \( \frac{1}{n} \) before the first layer.

An important implementation detail is that for each feature we add another input which is 1 if the feature is suppressed and 0 otherwise. This is necessary for the neural network to be able to distinguish between a feature missing and a feature genuinely being zero. The overall outcome is a classifier being able to deal with missing features. The results in Figure 3 show that, unlike input perturbation, feature dropout does not vastly overestimate features’ importance. With feature dropout, it becomes apparent that only very few features actually contain unique information, affecting accuracy when left out: the destination port and the source port.

A model trained with feature dropout typically yields slightly lower accuracy than a regularly trained model, even if no features are left out (flow accuracy of 99.43% vs. 99.65%). We thus recommend training two models: One regular one and one with feature dropout to use for the feature importance.

Another method that uses dropout for feature importance is [22], applying a technique called Variational Dropout to learn the optimal dropout rate for each feature. It tries to leave out as many features as possible and at the same time keep accuracy high. Thus important features are going to be left out less often and one can then extract the dropout probabilities for each feature and assess their significance based on them. While this method looks seemingly related to feature dropout, it is significantly more complex and does not aim to show the accuracy drop that occurs when omitting a feature but instead returns a unique feature importance value between 0 and 1.

For feature dropout, it can also happen that several features are left out for a sample and so our method can also be used to analyze the effect of multiple features missing and can thus show possibly correlated features or – more general – features that contain common information, relevant for the classification task:

\[
\text{score} = \frac{\text{acc}_{\text{base}} - \text{acc}_{\text{both features}}}{\text{acc}_{\text{base}} - \text{acc}_{\text{feature 1}}} + \frac{\text{acc}_{\text{base}} - \text{acc}_{\text{feature 2}}}{\text{acc}_{\text{base}} - \text{acc}_{\text{feature 2}}} 
\]

(4)

With \( \text{acc}_{\text{base}} \) we denote the accuracy of the classifier with all features included, with \( \text{acc}_{\text{feature 1}} \) the accuracy if feature \( i \) is omitted and with \( \text{acc}_{\text{both features}} \) the accuracy if both features are omitted. Assuming a non-negative accuracy drop when omitting a feature, the resulting score is \( \geq 0.5 \). The higher it is, the larger the information that both features share.

For example, the score between RST and the protocol identifier is 8.5; the highest of all pairs of features. While this may be unintuitive at the first glance, it likely stems from the fact that if the protocol identifier (TCP or UDP) is missing, then RST being 1 at some point indicates that the flow is TCP. Feature dropout might constitute a building block for methods based on Shapley values [13] like KernelSHAP [12].

4) Mutual Information: Input perturbation and feature dropout mainly address feature importance. For example, assuming that the test dataset is representative for production use, for feature importance it is reasonable to equate the distribution for perturbing a feature with the feature distribution itself. However, when evaluating feature sensitivity, e.g. for analyzing potential for adversarial samples, the attacker is not limited by this distribution and frequently is able to choose arbitrary values in the feature space.

Furthermore, let \( f(A, x) \) denote the joint probability for classification as attack and a feature value \( x \). Accuracy then is \( \int f(A, x)dx \) for attacks and \( 1 - \int f(A, x)dx \) for benign traffic. Figure 4 shows two different distributions yielding the same accuracy, but clearly the right-side distribution has a larger influence on the prediction, as in the right-side case the prediction deterministically depends on the feature value. To capture such dependencies, we propose to use mutual information to
determine feature sensitivity. Mutual Information between two random variables \( X, Y \) is defined as

\[
I_{X,Y} = \mathbb{E} \left\{ \log \left( \frac{f_{X,Y}(x,y)}{f_X(x)f_Y(y)} \right) \right\},
\]

with \( f_X(x), f_Y(y) \) and \( f_{X,Y}(x,y) \) denoting the distribution of \( X, Y \) and their joint distribution, respectively. To obtain feature sensitivity, we compute mutual information between an input variable and the prediction output for one flow at one particular time step, averaging over the result for the test set.

5) Comparison: \[\text{Figure 5}\] shows the results, which match to a large extent with domain-specific expectations for classifying network flows. In particular, rarely used TCP flags like NS or URG are unimportant for the classifier. On the other hand, destination port and protocol are essential for characterizing flows by hinting at the type of traffic. IAT and packet length are important for estimating the amount of transferred information and several flags hint at certain attacks like DoS attacks.

The weights method is able to reveal features with a very low importance to a certain degree, but disagrees with the other methods to a large extent. Less anticipated, however, also input perturbation does not exhibit a considerable correlation with feature dropout. Considering its functioning of completely removing individual features, feature dropout is the most reliable method for evaluating importance for removing features. It is remarkable that none of the other methods is able to depict the distinct peak of importance for the destination port.

It is not surprising that mutual information disagrees with feature dropout, since both their aim and their functioning are substantially different. For example, mutual information shows that the protocol field can have a substantial impact on the classification even though an identical accuracy can be achieved when omitting it.

Metrics for UNSW-NB15 differ substantially from CIC-IDS-2017. However, due to the large number of different network attacks and network configurations, it is easily possible that relevant features are very different. We consider the question of model transferability of substantial importance for IDS applications, but out of scope for the present research.

B. Explainability Plots

Knowing which features to investigate, it is important to analyze which feature values lead to classification as attack. In literature, the use of Partial Dependency Plots (PDP) has been proposed \[\cite{4}\]. To inspect attack types in detail, in this research we use a conditional form of the PDP. If \( X \in \mathbb{R}^n \) denotes a random vector drawn from feature space, \( f(X) \in [0,1] \) the neural network’s prediction and \( c \) the attack type, we define the conditional PDP for feature \( i \) as

\[
PDP_{c,i}(w) = \mathbb{E}_{X|C} \left( f(X_1, \ldots, X_{i-1}, w, X_{i+1}, \ldots X_n) | c \right),
\]

empirically approximating the conditional distribution by the observed subset that belongs to a certain attack type.

By using a classical PDP we would likely lose information due to the averaging over very different types of traffic. However, for network traffic in particular, investigating each sample individually is not possible. Hence, the conditional PDP provides the ideal compromise for our application.

Due to the use of a 5-tuple flow key, port numbers and the protocol identifier are constant for all packets in one flow. Hence, we can consider the RNN a regular classifier and reuse PDPs, which have been proposed for non-recurrent classification methods, by plotting the RNN’s flow prediction outcome over one of these features. The results (omitted for brevity) show that for some attack types the port numbers play an important role. When looking at the PDP for benign traffic samples, it becomes apparent that traffic destined to a high destination port is generally indicative of an attack. We argue that this is because most services that regular users use have low port numbers.

C. Plots for Sequences

Intuitively, features at the beginning of a flow should be the most important while the classifier’s predictions should not vary significantly anymore, as soon as it has come to a decision. To evaluate this hypothesis, \[\text{Figure 6}\] depicts the classifier’s prediction confidence for each time step, along with the number of samples having at least this length, which were used for evaluating the figure. While at the first couple of packets the confidence is not very high, towards the end of the flow it reaches values close to 1 and stays there. Hence, not only is the classifier able to make a reasonable classification after just a few packets, the figure also suggests that indeed later packets have a neglectable influence on the prediction.
For investigating in more detail how features influence the prediction outcome, we extend PDPs to the sequential setting. Denoting as \( X = \{ X^1, \ldots, X^m \} \) the series of packet features \( X^t \in \mathbb{R}^n \) and \( h_t(X) \) the network’s hidden state after time step \( t \), we define the sequential PDP as

\[
\text{seqPDP}_{c,i}(t, w) = \mathbb{E}_{X|C} \left( f \left( h_{t-1}(X), X^t_1, \ldots, X^t_{i-1}, w, X^t_{i+1}, \ldots, X^t_n \right) | c \right).
\]

Figure 7 shows an example together with the mean values for both unmodified samples and adversarial samples. Also in this figure we notice that mainly the first few packets are able to influence the prediction outcome and modifying features at a later time step does not change its confidence any longer. In many cases, the adversarial sample generation indeed moves packet features to areas where the network is less likely to be classified as attacks, confirming the effectiveness of PDPs. In other cases, however, we did not observe an agreement between PDP and adversarial modifications, hinting at dependencies which cannot be presented by PDPs. Since the IAT is undefined for the first packet, we always set it to 0. Still, interestingly, the plot shows, that the classifier considers packets with a higher IAT to be more likely to be attacks than those with a smaller one.

Finally, we investigated whether our classification task involves recognizing complex patterns in the feature space. As example, Figure 8 shows that attack types indeed have a characteristic pattern in which they send packets by which they are easily recognizable. Other attack families similarly show characteristic patterns.

VI. DEFENSES

We now investigate two approaches to increase robustness of the RNNs against adversarial attacks.

A. Reducing Features

The most obvious defense, which is only possible because of the nature of the dataset, is to simply omitting features an attacker can manipulate. We try two different approaches:

- Leaving out all manipulable features: packet size and IAT
- Leaving out manipulable features only when the attacker can manipulate them, i.e. only in the direction from the attacker to the victim. This, however, does not prevent adversarial samples for botnets, for which both sides are malicious.

Both approaches lead to complete resistance to adversarial samples, except for botnets, which can still operate when only leaving out manipulable features in one direction. The results show that – surprisingly – there is only a small difference in classification performance when looking at flow accuracy: It is slightly lower at 99.3% compared to 99.7% originally for CIC-IDS-2017. However, packet accuracy is only 98% when leaving out the features in one direction and 96.7% when leaving them out in both directions. Thus, apparently the IAT and packet size are especially important for determining whether a flow is malicious in the first packets of a flow.

B. Adversarial Training

As alternative to omitting manipulable features, we attempted to make the classifier more robust against adversarial samples by augmenting the training set by adversarial flows generated using CW, labeled as additional attacks. For this purpose, we added one adversarial sample per attack sample to the training set. Since CW is deterministic, this is the maximum number of adversarial samples possible. With this augmented training set we then alternated retraining of the neural network and optimization of the adversarial samples.

A question which occurs in this process, is how many CPU cycles to spend on network training and adversarial sample
optimization. As a natural approach, we decided to use as many backpropagation steps for neural network training as we use for adversarial sample optimization. For each adversarial sample optimization step, we performed 10 iterations of gradient descent. Hence, all adversarial samples were optimized each 10 epochs of neural network training.

Figure 9 shows the ARS throughout adversarial training for several attack categories and clearly indicates that adversarial training is effective, as the distance gradually increases. Hence, an attacker would have to modify attack samples more and more, eventually rendering the attack unpractical.

For both datasets, after a small number of epochs, it was no longer possible to create a significant number of adversarial samples for most attack categories. After 50 epochs of training, accuracy is essentially identical to the results presented in Table II. Recall and Youden increased and precision slightly decreased. However, this is due to the higher proportion of attack samples in training data and, hence, expected. We conclude that adversarial training is effective for reducing the attack surface for adversarial attacks in our scenario.

VII. CONCLUSION

We have implemented a recurrent classifier based on LSTMs to detect network attacks, which can already detect attacks before they are over. Furthermore, the recurrent approach allows us to inspect the influence of single packets on the detection performance and shows which packets are characteristic for attacks. Even though the interpretation of RNNs poses several difficulties, we have demonstrated methods for gaining insights into the model’s functioning.

We showed that even though our use case is very different from computer vision, adversarial samples can be found efficiently, even if only ostensibly unimportant features can be modified. We proposed the ARS for quantifying and comparing the adversarial threat for IDSs. Deploying an adversarial training procedure, we could significantly reduce the adversarial threat.

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