RESEARCH ARTICLE

Comparative mechanics of diverse mammalian carotid arteries

David A. Prim¹, Mohamed A. Mohamed², Brooks A. Lane¹, Kelley Poblete³, Mark A. Wierzbicki⁴, Susan M. Lessner¹,⁵, Tarek Shazly¹,⁶, John F. Eberth¹,⁵,*

¹ College of Engineering and Computing, Biomedical Engineering Program, University of South Carolina, Columbia, SC, United States of America, ² Cullen College of Engineering, Biomedical Engineering Department, University of Houston, Houston, TX, United States of America, ³ College of Health Sciences, Physical Therapy Program, Texas Women’s University, Houston, TX, United States of America, ⁴ Dwight Look College of Engineering, Biomedical Engineering Department, Texas A&M University, College Station, TX, United States of America, ⁵ School of Medicine, Department of Cell Biology and Anatomy, University of South Carolina, Columbia, SC, United States of America, ⁶ College of Engineering and Computing, Mechanical Engineering Department, University of South Carolina, Columbia, SC, United States of America

* john.eberth@uscmed.sc.edu

Abstract

The prevalence of diverse animal models as surrogates for human vascular pathologies necessitate a comprehensive understanding of the differences that exist between species. Comparative passive mechanics are presented here for the common carotid arteries taken from bovine, porcine, ovine, leporine, murine-rat, and murine-mouse specimens. Data is generated using a scalable biaxial mechanical testing device following consistent circumferential (pressure-diameter) and axial (force-length) testing protocols. The structural mechanical response of carotids under equivalent loading, quantified by the deformed inner radius, deformed wall thickness, lumen area compliance and axial force, varies significantly among species but generally follows allometric scaling. Conversely, descriptors of the local mechanical response within the deformed arterial wall, including mean circumferential stress, mid-wall circumferential stretch, and mean axial stress, are relatively consistent across species. Unlike the larger animals studied, the diameter distensibility curves of murine specimens are non-monotonic and have a significantly higher value at 100 mmHg. Taken together, our results provide baseline structural and mechanical information for carotid arteries across a broad range of common animal models.

Introduction

In humans and all other mammals, common carotid arteries (CCAs) supply oxygenated blood to critical cognitive and masticatory structures. Atherosclerosis of the CCAs, otherwise known as carotid artery disease, begins as an asymptomatic pathology and can lead to stenosis, plaque embolism, and ischemic stroke [1]. Of approximately 800,000 strokes in the U.S. each year as many as 15% can be attributed to carotid artery disease [2,3]. According to a recent clinical investigation, over 30% of asymptomatic patients aged 40–54 exhibit subclinical CCA...
atherosclerosis [4], suggesting a very large aging population at future risk of stroke and motivating further study into disease progression, diagnosis, and treatment.

Mechanical changes in carotid arteries can occur as a result of surgical intervention, device implantation, local and systemic disease progression, and tissue remodeling in response to altered hemodynamic stimuli. For example, carotid arteries from patients with dyslipidemia and type II diabetes were shown to be stiffer than paired noninjured arteries [5], which is commonly acknowledged as a predictor of increased risk of mortality [6]. Carotid artery stenting and carotid endarterectomy on the other hand, are the two most common interventions for severe carotid artery disease [7]. In either case understanding the baseline CCA mechanics can be fundamental to characterizing both healthy remodeling and undesirable pathologies [8,9].

Animal models are commonly used as human surrogates to test interventional devices and novel therapies. For studies involving CCA mechanics, it may be prudent to select a scalable model with specific baseline values of structural or mechanical properties under conditions of interest, and a comprehensive understanding of how animal-specific tissues behave under diverse biaxial loading scenarios are paramount to the translatability of such a study [9–16]. Despite this, it is not clear which CCA properties follow allometric scaling laws thereby hindering the initial screening of the diversity of potential candidates [17–20].

In this study, we investigate and compare the passive mechanical properties of CCAs freshly harvested from bovine, porcine, ovine, leporine, and two murine animals, the laboratory rat and the laboratory mouse. A unique yet modular biaxial testing device is used to measure the passive mechanical properties through inflation-extension testing using similar protocols and procedures for each vessel. Obtained results therefor provide a catalog of information that is used to determine scalability in order to guide the selection of animal models for various CCA studies.

Materials and methods
Vessel isolation and preparation
Male bovine (Angus cow; 500 kg), porcine (American Yorkshire pig; 108 kg), ovine (Suffolk-Rambouillet sheep; 35.1 kg), and leporine (New Zealand White rabbit; 4.03 kg) carotid specimens (n = 6; each) were obtained from abattoirs at roughly 18, 6, 10, and 3 months old respectively. Specimens from bovine, porcine, ovine, and leporine animals were designated for consumption and considered to be mature at the time of slaughter. These specimens were obtained from three local abattoirs with the following approximate geographic coordinates: (30.028, -95.361), (29.786, -95.975), and (29.675, -95.618). The ages of the bovine, porcine, ovine, and leporine specimens were selected based on their highest availability and recommended age for slaughter. Murine animals on the other hand, were selected at an age of maturity that roughly compares to the abattoir counterparts so that all animals experience a similar number of heartbeats in their lifetime, which we consider to represent a similar level of cardiovascular maturity. Laboratory murine-rat (Sprague-Dawley rat; 0.49 kg) and murine-mouse (C57BL/6J mouse; 0.028 kg) animals were sacrificed using CO₂ inhalation at 8 and 3 months of age respectively. All animal procedures were approved by the Animal Care and Use Committees (IACUC) at the University of Houston and the University of South Carolina.

Vessels were harvested immediately after slaughter/sacrifice and transported in sterile Moscona’s saline solution at 4˚C to the laboratory where perivascular and loose adventitial tissue was removed from each sample. The perivascular tissue was notably more difficult to remove from the larger vessels. To minimize tissue mounting edge effects, vessels were trimmed so that the length was at least 10-times greater than the diameter but fit within the 25 cm long tissue bath of the biaxial testing device once loaded. Vessels were then secured to appropriately-
sized barbed fittings, syringe needles, or glass cannulas (mouse only) with braided silk suture. Prior to and throughout testing, Krebs-Henseleit solution at pH 7.4 and containing $10^{-5}$ M sodium nitroprusside was perfused through, and around, the sample and then continuously circulated in the adventitial bath in order to guarantee a fully relaxed smooth muscle state. Once mounted within the test chamber samples were maintained at 37.2 °C using a 15W submersion heater within the adventitial bath.

A set of specimens designated only for histological staining were perfused with 4% paraformaldehyde, pressurized to 100 mmHg, and submerged in an adventitial bath also containing 4% paraformaldehyde. These vessels were then embedded in paraffin and prepared for sectioning. Sections 5 μm thick were cut using a microtome and stained with Hematoxylin & Eosin. Stained sections were digitally imaged on a Nikon E600 microscope (Nikon Instruments, Melville, NY) using 10x, 20x, 40x, or 100x objectives and QCapture imaging software (QImaging, Surrey, BC). Oil immersion lenses were used for the murine-rat and murine-mouse specimens (100x objective).

**Mechanical testing**

All mechanical testing was performed on a modular, custom-designed, biaxial mechanical testing device with LabView-based data acquisition (National Instruments; Austin TX). Reference [21] provides much of the general layout of a similar testing apparatus with hardware in that publication specific to the mouse carotid arteries and ours designed to accommodate larger specimens. Other differences in hardware or configuration are described here. Luminal inflation was initiated with a feedback controlled syringe pump (World Precision Instruments; Sarasota, FL) and pressure measured using an amplified 0–300 mmHg USB pressure transducer (Omega Engineering, Norwalk, CT). To accommodate large variations in vessel size, the objective lenses for a CMOS Monochrome 1280x1024 USB camera (Edmund Optics; Barrington, NJ) were selected to yield 580 pixels/mm, 287 pixels/mm, 144 pixels/mm, or 52.0 pixels/mm. Likewise force transducers (Omega Engineering) capable of measuring up to 0.1 N, 1.1 N, or 44 N were interchanged once a preliminary force range was determined for each species. The force transducer was connected to the blood vessel using a pivoting L-shaped arm allowing the transducer to be isolated from the liquid media. Stepper motor micrometer-driven translation stages (Thorlabs; Newton, NJ) were also chosen with 10 mm, 25 mm, or 100 mm of travel to provide adequate axial extensions. Each piece of hardware was extensively calibrated prior to data collection.

Initial measurements were made of the unloaded length and diameter with the specimen mounted in the biaxial testing device, but prior to pressurization or axial extension. To ensure repeatable loading curves, all vessels underwent three cycles of preconditioning consisting of inflation/deflation pressurization from 0–160 mmHg (1 mmHg/s) at 1.50±10% axial extension ratio. Following preconditioning, vessels were axially extended to 1.5 and pressurized step-wise from 0–160 mmHg in 10 mmHg increments. For circumferential testing (pressure-diameter) a 10 second equilibrium period was allowed at each step then diameter measurements were collected via the calibrated CMOS camera (Fig 1, left). Next, luminal pressure was adjusted to 100 mmHg, and the axial stretch $\lambda_z$ set so that vessels experienced a very small tensile force. This stretch was recorded as $l_{\text{min}}^z$. For axial testing (force-length) vessels were extended axially in stretch increments corresponding to a 0.05 increase in extension ratio while recording axial force at each step. These two mechanical testing regimes were selected based on a known configuration that prevents buckling (roughly circumferential testing at $\lambda_z = 1.5$) and similar in vivo arterial pressures amongst mammals (axial testing at P = 100 mmHg).
Data analysis

Vessels were removed from the device and centrally located ring sections cut from the samples. Images of rings were collected using a microscope mounted DSLR camera (Canon USA, Long...

Fig 1. Images of common carotid arteries. (left) Vessels mounted within the biaxial testing device at $\lambda_z = 1.5$ and $P = 100$ mmHg. (a) Bovine: OD = 8.82 mm, (b) porcine: OD = 4.96 mm, (c) ovine: OD = 5.49 mm, (d) leporine: OD = 2.60 mm, (e) murine-rat: OD = 1.14, and (f) murine-mouse: OD = 0.65 mm vessels shown. Scale bars are 1 mm. (right) Unloaded ring sectors of each vessel with 1 mm ruler.

https://doi.org/10.1371/journal.pone.0202123.g001
Island NY) and the magnification set to maximize the field of view using the millimeter scale of a ruler (Fig 1, right). The unloaded inner and outer circumference of each section were quantified using ImageJ software (NIH), and the inner $R_i$ and outer $R_o$ radii calculated. From this, the cross-sectional tissue area was calculated via

$$A = \pi (R_o^2 - R_i^2).$$

(1)

Unlike prior work (see [12,22]), we chose not to induce a stress relieving cut. Although straightforward with large vessels, prior experience with mouse and rat carotid arteries suggested that the stress relieving cut would introduce considerable error (unpublished laboratory observations).

Through real time measurements of outer diameter and assuming vessel incompressibility, the deformed inner radius $r_i$ is calculated from

$$r_i = \sqrt{r_o^2 - \frac{A}{\pi \lambda_z}},$$

(2)

where $r_o = OD/2$ is the deformed outer radius and $\lambda_z$ the axial stretch ratio. The lumen area compliance and diameter distensibility are

$$C_A = \frac{\Delta r_i^2}{\Delta P}$$

and

$$D_d = 2 \frac{\Delta d_i/d_i}{\Delta P},$$

(3)

where $\Delta P$ is the change in transmural pressure. For compliance (mm$^2$/mmHg), $\Delta P$ is measured around 100 mmHg and $\Delta r_i$ the change in radius about this point. Distensibility (mm$^2$/mmHg), on the other hand, is a normalized metric useful for comparing mechanical properties of vessels from different species [23]. Mean circumferential and axial stresses are calculated as

$$\sigma_o = \frac{P r_i}{h}, \quad \sigma_z = \frac{F + P \pi r_i^2}{\pi h (2r_i + h)}$$

(4)

with $F$, the axial force, and $h = r_o - r_i$ the wall thickness. The pressure contribution on the right-hand-side of Eq (4) is consistent with a force balance of a pressurized, closed tube [24].

The circumferential and axial stretches are calculated by

$$\lambda_o = \frac{r_o + r_i}{R_o + R_i}, \quad \lambda_z = \frac{l}{L},$$

(5)

where we note the radial stretch is found via incompressibility and circumferential stretch represents the mid-wall value.

**Statistical analysis**

Figures demonstrating continuous data (e.g., Fig 2) are expressed as the mean ± the standard error of the mean (SEM) while discrete data (e.g., Fig 3) are presented as the mean ± the standard deviation (STD). Paired comparisons were performed using two-tailed student t-tests with a value of $p \leq 0.05$ considered to be significant.

**Results**

Data is displayed for bovine, porcine, ovine, leporine, murine-rat, and murine-mouse groups in the order of decreasing body weight with values representing the mean of $n = 6$ samples. Most measured structural quantities are shown to increase with animal weight. The pressure-outer diameter graph shows similar patterns within physiological ranges across the six species
tested (Fig 2, top). Notable differences include the murine carotid samples that have a concave pattern at pressures below 80 mmHg but transitions to a convex relationship at higher pressures, while porcine, ovine, leporine, and bovine samples display a convex relationship at all tested pressures.

When compared at 100 mmHg and 1.5 axial stretch ratios (Fig 3) the inner radius and wall thickness, of bovine ($r_i = 3.35 \pm 0.30 \text{ mm, } p < 0.001$; $h = 1.06 \pm 0.14 \text{ mm, } p < 0.001$), porcine ($r_i = 2.24 \pm 0.31 \text{ mm, } p < 0.001$; $h = 0.37 \pm 0.10 \text{ mm, } p < 0.001$), and ovine ($r_i = 2.15 \pm 0.42 \text{ mm, } p < 0.004$; $h = 0.48 \pm 0.17 \text{ mm, } p < 0.016$) arteries were significantly different than those of
leporine ($r_i = 1.08 \pm 0.16 \text{ mm}; h = 0.22 \pm 0.07 \text{ mm}$; $h = 0.087 \pm 0.031 \text{ mm}$), murine-rat ($r_i = 0.484 \pm 0.070 \text{ mm}; h = 0.290 \pm 0.070 \text{ mm}; h = 0.035 \pm 0.001 \text{ mm}$).

Despite a high standard deviation in lumen area compliance, differences were still significant for bovine ($C_A = 1.5 \times 10^{-3} \pm 8.1 \times 10^{-4} \text{ mm}^2/\text{mmHg}; p < 0.004$) compared to leporine ($C_A = 6.1 \times 10^{-3} \pm 3.9 \times 10^{-3} \text{ mm}^2/\text{mmHg}; p = 0.022$), murine-rat ($C_A = 3.2 \times 10^{-4} \pm 1.3 \times 10^{-4} \text{ mm}^2/\text{mmHg}; p = 0.040$), or murine-mouse ($C_A = 2.6 \times 10^{-5} \pm 1.9 \times 10^{-5} \text{ mm}^2/\text{mmHg}; p = 0.021$).
Significant area compliance differences were also found between porcine ($C_A = 6.8 \times 10^{-4} \pm 5.6 \times 10^{-4} \text{mm}^2/\text{mmHg}$) and murine-mouse ($p = 0.047$), and between the leporine and murine-rat ($C_A = 3.2 \times 10^{-4} \pm 1.3 \times 10^{-4} \text{mm}^2/\text{mmHg}$, $p = 0.004$). Average values of axial force and axial stretch also display similar, but highly nonlinear relationships across species that are more evident on a non-logarithmic scale. The axial force for the bovine specimens ($F = 4,890 \pm 3,132 \text{mN}$, $p < 0.019$) was different than porcine ($F = 213.1 \pm 179.8 \text{mN}$), ovine ($F = 576.3 \pm 276.7 \text{mN}$), leporine ($F = 6,430 \pm 3.73 \text{mN}$), murine-rat ($F = 3,610 \pm 2.62 \text{mN}$) or murine-mouse ($F = 0.693 \pm 0.238 \text{mN}$). The porcine and ovine specimens were also different from the leporine and murine specimens ($p < 0.049$).

While vessel geometry varies widely between species, the stress and stretch metrics facilitate comparisons that are independent of length scale (Fig 4 and Fig 5). Circumferential stress was found to be lower in the bovine ($\sigma_{\theta} = 42.9 \pm 6.88 \text{kPa}$) than porcine ($\sigma_{\theta} = 86.8 \pm 31.4 \text{kPa}$, $p = 0.025$), leporine ($\sigma_{\theta} = 74.0 \pm 25.7 \text{kPa}$, $p = 0.041$), and murine-mouse ($\sigma_{\theta} = 111 \pm 34.1 \text{kPa}$, $p = 0.015$) counterparts while ovine specimens $\sigma_{\theta} = 53.9 \pm 14.2 \text{kPa}$, $p = 0.038$) had significantly lower circumferential stress only in comparison to murine-mouse ($p = 0.032$). Likewise, bovine axial stress ($\sigma_z = 184 \pm 42.2 \text{kPa}$) was higher than in porcine ($\sigma_z = 74.1 \pm 27.4 \text{kPa}$, $p = 0.049$), leporine ($\sigma_z = 40.6 \pm 2.46 \text{kPa}$, $p = 0.042$), murine-rat ($\sigma_z = 54.3 \pm 34.3 \text{kPa}$, $p = 0.029$) and murine-mouse ($\sigma_z = 70.87 \pm 22.5 \text{kPa}$, $p = 0.050$) arteries, while the porcine ($p = 0.041$) and murine-mouse ($p = 0.029$) groups were higher than the leporine group. The porcine circumferential and minimum axial stretches ($\lambda_{\theta} = 1.49 \pm 0.16$; $\lambda_{z,\text{min}} = 1.29 \pm 0.06$) were found to be lower than leporine ($\lambda_{\theta} = 1.93 \pm 0.25$, $p = 0.044$; $\lambda_{z,\text{min}} = 1.43 \pm 0.02$, $p = 0.039$) and murine-mouse ($\lambda_{\theta} = 1.85 \pm 0.22$, $p = 0.016$; $\lambda_{z,\text{min}} = 1.37 \pm 0.02$, $p = 0.039$) while the minimum ovine axial stretch ratios ($\lambda_{z,\text{min}} = 1.40 \pm 0.03$, $p = 0.009$) were higher than in the porcine specimens. The minimum axial stretch ratio was also found to be lower in the bovine ($\lambda_{z,\text{min}} = 1.30 \pm 0.10$, $p = 0.030$) and the murine-mouse ($\lambda_{z,\text{min}} = 1.37 \pm 0.02$, $p = 0.032$) compared to the leporine.

The diameter distensibility for all carotid arteries are reported in Fig 6. Plotting these values for the full range of pressures illustrates two distinct behaviors. Namely larger animals have a monotonically decreasing distensibility with pressure while both murine animals exhibit non-monotonic behavior reaching a peak in sub physiologic pressures. Comparing distensibility around a common pressure of 100 mmHg shows a significantly higher diameter distensibility in the murine-rat ($D_d = 7.66 \times 10^{-3} \pm 1.65 \times 10^{-3} \text{ mmHg}^{-1}$; $p < 0.001$) than all other animals. Likewise, the murine-mouse distensibility ($D_d = 3.76 \times 10^{-3} \pm 9.37 \times 10^{-4} \text{ mmHg}^{-1}$) was higher than the ovine ($D_d = 1.94 \times 10^{-3} \pm 6.99 \times 10^{-4} \text{ mmHg}^{-1}$; $p = 0.015$) and leporine ($D_d = 1.38 \times 10^{-3} \pm 5.41 \times 10^{-4} \text{ mmHg}^{-1}$; $p = 0.001$) specimens. Despite these observations, a predictable pattern could not be discerned when distensibility was plotted versus the animal weights (Fig 6C).

**Discussion**

The current work reports on the mechanical properties of common carotid arteries from 6 distinct but common mammalian species. Due to the long, unbranched, and paired anatomy, CCA, especially canine models, are well studied in the literature. Although collectively many datasets are available from a wide-variety of sources, challenges in scalability have previously been a limitation on such a wide range of being reported in a single published work. An exception to this is the experimentation performed by RH Cox (1978) who studied the mechanics of the canine, leporine, and murine-rat carotid arteries [20]. That investigation demonstrated similar outer diameter and circumferential stress to ours but no axial forces were reported. Cox, as in our study, reported a concave pattern in the pressure-diameter curves at low levels of pressure in the smaller animals but not in the larger ones. These patterns seemingly
contribute to altered distensibility behaviors for smaller vessels (Fig 6). Similar patterns and diameter ranges were also reported in the work of Weizsäcker et al. (1983) who investigated biaxial properties of murine-rat carotid arteries [25]. Chuong and Fung (1983), and later Takamizawa (2015), experimented on leporine arteries and fit their results to constitutive models [10,26]. Although deformed inner radii in that latter study is similar to our current work and that of Weizsäcker et al., our reported axial forces are lower in the leporine and murine-rat
models. This could be attributed to variations in an animal’s genetic background or age [27,28].

Despite the abundance of canine data, and to a lesser extent porcine, (e.g., [20,22]), there are surprisingly few inflation-extension tests of bovine carotid mechanics. Von Maltzahn (1984) conveniently performed biaxial testing on carotids samples at the same pressures and axial extensions used in our study. Although the diameters were slightly larger than those

Fig 5. Comparative stress and strain values for common carotid arteries subjected to passive mechanical testing at 100 mmHg. (a) Circumferential stress, (b) circumferential stretch, and (c) axial stress for bovine, porcine, ovine, leporine, murine-rat, and murine-mouse carotid arteries at 1.5 axial stretch ratio. Figure (d) illustrates the minimal axial stretch ratio to maintain vessels in tension at 100 mmHg. All values are mean ± STD. (*) denotes statistical significance at p ≤ 0.05 between the leftmost group and the corresponding hash-mark.

https://doi.org/10.1371/journal.pone.0202123.g005
reported here, axial forces were lower [29]. These differences may be due to the breed and/or the age of the animal, but that specific information was not reported in their work. To our knowledge, Blondel and colleagues (2001) present the only published biaxial inflation-extension mechanics data to date on sheep (ovine) carotid arteries [30]. Their animals and corresponding structural parameters appear to be slightly larger than those presented here, and again, the axial force and stress data were not reported. Nevertheless, other comparable mechanical parameters appear to be consistent with the ovine results reported herein. The lack of information for bovine and ovine models is surprising considering the growing importance of these animals to the field of decellularized vascular grafts and implant models [31,32]. Of further note, all vessels appear to be less stiff than the limited existing data on human CCA mechanics [33,34].

An abundance of biaxial data from control, surgically altered, and genetically modified murine-mouse models have been reported in our prior work [16,24,28,35,36]. The carotid arteries studied in the current investigation are comparable in mechanical properties to many of the controls of those prior studies. One notable exception is that the axial stretch ratio is lower here and actually represents a sub-physiological level for the murine-mouse. In fact, it is likely that the leporine and both murine models are compared at sub-physiological levels of axial extension while the bovine models are at supra-physiological levels. Since axial extension affects virtually all our quantified metrics (see for example, eqs (2) and (5)), this condition would help to explain the high measured force (and axial stress) in bovine specimens. To eliminate additional confounding variables however, we chose to compare these species at a common axial stretch ratio while recording the minimum axial stretch required to achieve tension while pressurized. An axial stretch of 1.5 appeared to be the most common reference point from the literature for diverse mammalian species [10,22,25,37].

Allometric scaling is applied to the results (Fig 7 and Fig 8, also see [38]) using a power law equation [39] of the form

$$y = k \cdot w^a$$

that relates the dependent variable $y$ to the independent variable $w$ (in this case animal weight) using a coefficient $k$ and scaling exponent $a$. When plotted against body weight, the inner
radius ($R^2 = 0.982$), wall thickness ($R^2 = 0.968$), area compliance ($R^2 = 0.742$), and axial force ($R^2 = 0.900$) were all well represented by (6). In contrast, no obvious scaling existed for the circumferential and axial stresses and stretches or distensibility. With the exception of distensibility in murine specimens, these values, however, were closely grouped amongst many of the animals tested, but still isolated differences exist (e.g., Bovine stresses Fig 5A and 5C). Many of these differences would likely be explained by a more detailed histological study.

Wolinsky and Glagov compared aortas from diverse mammalian species to demonstrate that lamellar units—a major contributor of mechanical properties in arteries—remain relatively consistent across species [38]. These authors observed ranges in deformed outer diameter

Fig 7. Allometric scaling of structural quantities with weight. (a) Inner radius, (b) wall thickness, (c) area compliance, (d) axial force, at 100 mmHg and $\lambda_z = 1.5$. All data fit to a power law allometric scaling relationship with the coefficient of determination shown. All values are mean ± STD.

https://doi.org/10.1371/journal.pone.0202123.g007
from 1.2 to 23.0 mm and body weight from 0.028 to 200 kg; despite this, aortas across all species exhibit medial lamellar units of similar size (0.006 to 0.018 mm) that experience similar tension per lamellar unit (1,090 to 3,010 dynes/cm) [38]. Moreover, the endothelial, smooth muscle, and fibroblasts cells which serve as both sensor and effector in the assembly of wall constituents, remains the same size even in a vessel wall that can be 15-fold larger. We also consider that proteins (e.g., collagen and elastin) can vary in fractional mass but their structure is preserved across species. Our H&E and Masson’s Trichrome stained cross-sections show similarities in tissue morphology, most notably a relatively thin collagenous adventitial layer and interspersed collagen fibers within the media surrounded by smooth muscle cells (Fig 9). The relative size of the cell nuclei and varying number of lamellae are readily apparent when

Fig 8. Allometric scaling of mechanical quantities with weight. (a) Circumferential stress, (b) axial stress, and (c) circumferential stretch measured at $\lambda_z = 1.5$. (d) Minimum axial stretch at 100 mmHg. All data fit to a power law allometric scaling relationship with the coefficient of determination shown. All values are mean ± STD.

https://doi.org/10.1371/journal.pone.0202123.g008
Comparing between the species at these different magnification levels that likely contribute to the certain differential mechanical responses. In line with the prior work of Wolinsky and Gla- gov in the aorta, the number of lamellae varies significantly across species, with a maximum of $59.7 \pm 7.6$ in the bovine carotid and a minimum of $3.3 \pm 0.6$ in the murine-mouse carotid; however, the average lamellar thickness is relatively similar across species (0.011 to 0.022 mm), which is also in line with prior work [38]. Although there is an intimate relationship between histology and mechanics this investigation focuses primarily on the biomechanical analysis, while future work would benefit from more thorough comparison of CCA microstructure across species.

Comparing the mechanical properties of CCAs across mammalian species supports two discrete research directions. First, animal studies are a critical tool in elucidating disease progression, evaluating novel treatment options, and developing implantable devices for a wide range of diseases, including carotid artery disease. As discussed previously, the mechanical properties of the vasculature are subject to change as a result of both disease and treatment,
and quantifying these changes requires a thorough characterization of baseline mechanical properties. Age, for example, has been shown to dramatically influence arterial mechanics and would likely have a substantial effect in our study, considering the subject matter with such varied heart rates [40]. To try and avoid confounding factors from age, we used tissues with the highest availability from the abattoir and developmentally matched our laboratory specimens, resulting in samples that had experienced approximately equal number of heartbeats in their lifetime. Based on the widely examined theory that mammals experience a similar number of heartbeats regardless of life expectancy, we consider our samples to therefore have reached a similar level of cardiovascular maturity [19]. Ultimately this investigation provides preliminary mechanical data that can be used to guide the selection of animal models for carotid artery research and to provide comparative data from healthy vessels to compare with treatments and disease states.

Next, as demand continues to increase for vascular grafts as treatment options for severe cardiovascular disease, significant research has begun to explore options beyond traditional autologous grafts. Artificially engineered vascular grafts have proven difficult to adequately match necessary material properties while maintaining long-term patency [41], so recent efforts have explored the use of decellularized blood vessels as a scaffold for vascular graft procedures [42–46]. Since decellularization nominally ameliorates immunogenicity by removing all cellular material, leaving only the ECM components responsible for passive mechanical properties, graft options need not be limited to human vessels. The most pressing need for improved graft options lies in small-diameter artery grafts, so decellularized conduit arteries of smaller mammals represent a potential avenue of research for graft options in humans. In theory, given basic information about a graft destination—e.g., pressure, deformed inner radius, and compliance—a clinician could reference a catalog of mechanically characterized non-human vessels, such as the investigation herein, to identify the most mechanically compatible scaffold for that particular situation.

While we support the scientific merit of this investigation, we must also acknowledge certain limitations. First, we chose not to quantify residual strains via opening angles of fresh cross-sectional slices. Residual strains are known to normalize the transmural stress distribution in a given vessel but can be difficult to measure reliably in the murine specimens. Also we assumed homogeneity of the vessel wall due to the relatively thin adventitial layer compared to a muscular artery or vein (see Fig 9). Further, due to the range of tissues used herein, animal ages could not be standardized; however, within a given species, all tested samples came from adult specimens of approximately equal age and size. For logistical reasons and to avoid confounding factors, we did not compare the specimens in their in vivo configurations but instead chose to evaluate all structural and mechanical metrics at common values of pressure and axial stretch. Furthermore, due to large variations in measured variables across species (e.g., axial force, vessel diameter), several hardware configurations were required to maintain fidelity of the collected data. Nevertheless, testing was consistent within a given species, all hardware was calibrated prior to testing, and protocols were consistent regardless of species or hardware.

Supporting information

S1 Data. Mechanical test data for mammalian carotid arteries (CCAs) subjected to inflation-extension testing. Circumferential results at $\lambda_z = 1.5$ and axial results at $P = 100$ mmHg for bovine, porcine, ovine, leporine, murine-rat, and murine-mouse subjects ($n = 6$ each). Values are mean ± SEM and the black filled cells indicate buckling. (XLSX)
Acknowledgments

The authors would like to acknowledge the contributions of undergraduate researcher Hannah Gore and the mechanical analysis advice of Jacopo Ferruzzi.

Author Contributions

Conceptualization: Mohamed A. Mohamed, Tarek Shazly, John F. Eberth.

Data curation: David A. Prim, Mohamed A. Mohamed, Brooks A. Lane, Kelley Poblete, Mark A. Wierzbicki, John F. Eberth.

Formal analysis: David A. Prim, Kelley Poblete, Mark A. Wierzbicki, Tarek Shazly.

Funding acquisition: John F. Eberth.

Investigation: Mohamed A. Mohamed, Brooks A. Lane, Kelley Poblete, John F. Eberth.

Methodology: Mohamed A. Mohamed, Brooks A. Lane, Kelley Poblete, Mark A. Wierzbicki, Susan M. Lessner, John F. Eberth.

Project administration: John F. Eberth.

Resources: Susan M. Lessner.

Supervision: Tarek Shazly, John F. Eberth.

Writing – original draft: David A. Prim, Tarek Shazly, John F. Eberth.

Writing – review & editing: David A. Prim, Brooks A. Lane, Susan M. Lessner, Tarek Shazly, John F. Eberth.

References

1. Meschia JF, Klaas JP, Brown RD, Brott TG. Evaluation and Management of Atherosclerotic Carotid Stenosis. Mayo Clin Proc. Mayo Foundation for Medical Education and Research; 2017; 92: 1144–1157. https://doi.org/10.1016/j.mayocp.2017.02.020 PMID: 28688468

2. Go AS, Mozaffarian D, Roger VL, Benjamin EJ, Berry JD, Blaha MJ, et al. Heart disease and stroke statistics—2014 update: a report from the American Heart Association. Circulation. 2014; 129: e28–e292. https://doi.org/10.1161/CIRCU LATIONAHA.114.014310 PMID: 24352519

3. Flaherty ML, Kissela B, Khoury JC, Alwell K, Moomaw CJ, Woo D, et al. Carotid Artery Stenosis as a Cause of Stroke. Neuroepidemiology. 2013; 40: 36–41. https://doi.org/10.1159/000341410 PMID: 23075828

4. Fernández-Friera L, Peñalvo JL, Fernández-Ortiz A, Ibañez B, López-Melgar B, Laclaustra M, et al. Prevalence, vascular distribution, and multiterritorial extent of subclinical atherosclerosis in a middle-aged cohort the PESA (Progression of Early Subclinical Atherosclerosis) study. Circulation. 2015; 131: 2104–2113. https://doi.org/10.1161/CIRCULATIONAHA.114.014310 PMID: 25882487

5. Paini A, Boutosyrie P, Calvet D, Zidi M, Agabiti-Rosei E, Laurent S. Multiaxial mechanical characteristics of carotid plaque. Stroke. Am Heart Assoc; 2007; 38: 117–123. https://doi.org/10.1161/01.STR.0000251796.38954.b2 PMID: 17158335

6. Safar ME, Blacher J, Mourad JJ, London GM. Stiffness of carotid artery wall material and blood pressure in humans. Stroke. Am Heart Assoc; 2000; 31: 782–790. PMID: 10700519

7. Brott TG, Hobson RW, Howard G, Roubin GS, Clark WM, Brooks W, et al. Stenting versus endarterectomy for treatment of carotid-artery stenosis. N Engl J Med. Mass Medical Soc; 2010; 363: 11–23. https://doi.org/10.1056/NEJMoa0912321 PMID: 20905173

8. Rolland PH, Mekkaoui C, Vidal V, Berry JL, Moore JE, Moreno M, et al. Compliance matching stent placement in the carotid artery of the swine promotes optimal blood flow and attenuates restenosis. Eur J Vasc Endovasc Surg. Elsevier; 2004; 28: 431–438. https://doi.org/10.1016/j.ejvs.2004.06.018 PMID: 15305569

9. Rolland PH, Charfi A-B, Verrier C, Bodard H, Friggi A, Piquet P, et al. Hemodynamics and wall mechanics after stent placement in swine iliac arteries: comparative results from six stent designs. Radiology.
Radiological Society of North America; 1999; 213: 229–246. https://doi.org/10.1148/radiology.213.1.r99oc26229 PMID: 10540667

10. Takamizada K. Biaxial Contractile Mechanics of Common Carotid Arteries of Rabbit. J Biomech Eng. 2015; 137: 031010. https://doi.org/10.1115/1.4028988 PMID: 25367102

11. Zhou B, Wolf L, Rachev A, Shazly T. A structure-motivated model of the passive mechanical response of the primary porcine renal artery. J Mech Med Biol. 2014; 14: 18. https://doi.org/10.1142/s021951941450033x

12. Prim DA, Zhou B, Hartstone-Rose A, Uline MJ, Shazly T, Eberth JF. A Mechanical Argument for the Differential Performance of Coronary Artery Grafts. J Mech Behav Biomed Mater. 2016; 54: 93–105. http://dx.doi.org/10.1016/j.jmbbm.2015.09.017 PMID: 26437296

13. Zhou B, Alshareef M, Prim D, Collins M, Kempner M, Hartstone-Rose A, et al. The perivascular environment along the vertebral artery governs segment-specific structural and mechanical properties. Acta Biomater. 2016; 45: 286–295. https://doi.org/10.1016/j.actbio.2016.09.004 PMID: 27612958

14. Matsumoto T, Hayashi K. Mechanical and dimensional adaptation of rat aorta to hypertension. J Biomech Eng. 1994/08/01. 1994; 116: 278–283. Available: http://www.ncbi.nlm.nih.gov/entrez/query.fcgi?cmd=Retrieve&db=PubMed&dopt=Citation&list_uids=7799628 PMID: 7799628

15. Eberth JF, Gresham VC, Reddy AK, Popovic N, Wilson E, Humphrey JD. Importance of pulsatility in hypertensive carotid artery growth and remodeling. J Hypertens. 2009/07/09. 2009; 27: 2010–2021. https://doi.org/10.1097/HJH.0b013e328328dc8 PMID: 19584753

16. Cardamone L, Valentin A, Eberth JF, Humphrey JD. Origin of axial prestretch and residual stress in arteries. Biomech Model Mechanobiol. 2009; 8. https://doi.org/10.1007/s10237-008-0146-x PMID: 19123012

17. Holt JP, Rhode EA, Holt WW, Kines H. Geometric similarity of aorta, venae cavae, and certain of their branches in mammals. Am J Physiol. 1981; 241: R100–4. Available: http://www.ncbi.nlm.nih.gov/pubmed/7246796 https://doi.org/10.1152/ajpregu.1981.241.1.R100 PMID: 7246796

18. Weinberg PD, Ross Ethier C. Twenty-fold difference in hemodynamic wall shear stress between murine and human aortas. J Biomech. 2007; 40: 1594–8. https://doi.org/10.1016/j.jbiomech.2006.07.020 PMID: 17046000

19. Levine HJ. Editorial—Rest Heart Rate and Life Expectancy. J Am Coll Cardiol. 1997; 30: 1104–1106. Available: http://www.sciencedirect.com/science/article/B6T18-3W4GRY-2/2/f378c9c84d0e2641649069a8c460495a PMID: 9316546

20. Cox RH. Comparison of carotid artery mechanics in the rat, rabbit, and dog. Am J Physiol. 1978; 234: H280–8. Available: http://www.ncbi.nlm.nih.gov/pubmed/1929678 https://doi.org/10.1152/ajpheart.1978.234.3.H280 PMID: 629363

21. Gleason RL, Gray SP, Wilson E, Humphrey JD. A multiaxial computer-controlled organ culture and biomechanical device for mouse carotid arteries. J Biomech Eng. 2005/03/31. 2004; 126: 787–795. Available: http://www.ncbi.nlm.nih.gov/entrez/query.fcgi?cmd=Retrieve&db=PubMed&dopt=Citation&list_uids=15796337 PMID: 15796337

22. Zhou B, Prim DA, Romito EJ, McNamara LP, Spinale FG, Shazly T, et al. Contractile Smooth Muscle and Active Stress Generation in Porcine Common Carotids. J Biomech Eng. ASME; 2017; 140. https://doi.org/10.1115/1.4037949 PMID: 28975258

23. Westerhof N, Stergiopoulos N, Noble MIM. Snapshots of hemodynamics: an aid for clinical research and graduate education. Basic science for the cardiologist. New York, NY: Springer; 2005.

24. Eberth JF, Taucer AI, Wilson E, Humphrey JD. Mechanics of carotid arteries in a mouse model of marfan syndrome. Ann Biomed Eng. 2009; 37: 1093–1104. https://doi.org/10.1007/s10439-009-9686-1 PMID: 19350391

25. Weizsäcker HW, Lambert H, Pascale K. Analysis of the passive mechanical properties of rat carotid arteries. J Biomech. 1983; 16: 703–715. https://doi.org/10.1016/0021-9290(83)90080-5 PMID: 6643542

26. Chuong CJ, Fung YC. Three-Dimensional Stress Distribution in Arteries. J Biomech Eng. ASME; 1983; 105: 268–274. Available: http://dx.doi.org/10.1115/1.3138417 PMID: 6632830

27. Kohn JC, Lampi MC, Reinhart-King CA. Age-related vascular stiffening: Causes and consequences. Front Genet. 2015; 6: 1–17. https://doi.org/10.3389/fgen.2015.00001

28. Eberth JF, Popovic N, Gresham VCVC, Wilson E, Humphrey JD. Time course of carotid artery growth and remodeling in response to altered pulsatility. Am J Physiol Heart Circ Physiol. 2010/09/21. 2010; 299: H1875–H1883. https://doi.org/10.1152/ajpheart.00872.2009 PMID: 20852047
29. von Maltzahn WW, Warriyar RG, Keitzer WF. Experimental measurements of elastic properties of media and adventitia of bovine carotid arteries. J Biomech. 1984; 17: 839–847. https://doi.org/10.1016/0021-9290(84)90142-8 PMID: 6520132

30. Blondel WCPM, Didelon J, Maurice G, Carteaux J-P, Xiong Wang, Stolz J-F. Investigation of 3-D mechanical properties of blood vessels using a new in vitro tests system: results on sheep common carotid arteries. IEEE Trans Biomed Eng. 2001; 48: 442–451. https://doi.org/10.1109/10.915710 PMID: 11322532

31. Daugs A, Hutzler B, Meinke M, Schmitz C, Lehmann N, Markhoff A, et al. Detergent-Based Decellularization of Bovine Carotid Arteries for Vascular Tissue Engineering. Ann Biomed Eng. 2017; 45: 2683–2692. https://doi.org/10.1007/s10439-017-1892-7 PMID: 28785880

32. Schmidt CE, Baier JM. Acellular vascular tissues: natural biomaterials for tissue repair and tissue engineering. Biomaterials. 2000; 21: 2215–2231. https://doi.org/10.1016/S0142-9612(00)00148-4 PMID: 11026628

33. Seiler G, Holzapfel GA. 3D constitutive modeling of the biaxial mechanical response of intact and layer-dissected human carotid arteries. J Mech Behav Biomed Mater. Elsevier Ltd; 2012; 5: 116–128. https://doi.org/10.1016/j.jmbbm.2011.08.013 PMID: 22100086

34. Masson I, Boutouyrie P, Laurent S, Humphrey JD, Zidi M. Characterization of arterial wall mechanical behavior and stresses from human clinical data. J Biomech. 2008; 41: 2618–2627. https://doi.org/10.1016/j.jbiomech.2008.06.022 PMID: 18684458

35. Bersi MR, Ferruzzi J, Eberth JF, Gleson RL Jr., Humphrey JD. Consistent Biomechanical Phenotyping of Common Carotid Arteries from Seven Genetic, Pharmacological, and Surgical Mouse Models. Ann Biomed Eng. Springer US; 2014; 42: 1207–1223. https://doi.org/10.1007/s10439-014-0988-6 PMID: 24590490

36. Eberth JF, Cardamone L, Humphrey JD. Evolving biaxial mechanical properties of mouse carotid arteries in hypertension. J Biomech. Elsevier; 2011; 44: 2532–2537. https://doi.org/10.1016/j.jbiomech.2011.07.016 PMID: 21851943

37. von Maltzahn W-W, Besdo D, Wiemer W. Elastic properties of arteries: A nonlinear two-layer cylindrical model. J Biomech. 1981; 14: 389–397. https://doi.org/10.1016/0021-9290(81)90056-7 PMID: 7263731

38. Wolinsky H, Glagov S. A Lamellar Unit of Aortic Medial Structure and Function in Mammals. Circ Res. 1967; 20: 99 LP–111. Available: http://circres.ahajournals.org/content/20/1/99.abstract

39. West GB, Brown JH, Enquist BJ. A general model for the origin of allometric scaling laws in biology. Science (80-). American Association for the Advancement of Science; 1997; 276: 122–126.

40. Kamenskiy A V, Pipinos II, Dzenis YA, Phillips NY, Desyatova AS, Kitson J, et al. Effects of age on the physiological and mechanical characteristics of human femoropopliteal arteries. Acta Biomater. 2015; 11: 304–313. https://doi.org/10.1016/j.actbio.2014.09.050 PMID: 25301303

41. Benrashid E, McCoy CC, Youngworth LM, Kim J, Manson RJ, Otto JC, et al. Tissue engineered vascular grafts: Origins, development, and current strategies for clinical application. Methods. San Diego, USA: Academic Press Inc, Elsevier Science; 2016; 99: 13–19. https://doi.org/10.1016/j.ymeth.2015.07.014 PMID: 26216054

42. Dahl SLM, Koh J, Prabhakar V, Niklason LE. Decellularized Native and Engineered Arterial Scaffolds for Transplantation [Internet]. Cell Transplantation. pp. 659–666. Available: http://dx.doi.org/10.3727/0000000010874713

43. Lawson J, Dahl S, Prichard H, Manson R, Gage S, Kypson A, et al. SSV Human Tissue-Engineered Grafts for Hemodialysis: Development, Preclinical Data, and Early Investigational Human Implant Experience. J Vasc Surg. 2014; 59: 325–335. http://dx.doi.org/10.1016/j.jvs.2014.03.077

44. Niklason LE, Gao J, Abbott WM, Hirschi KK, Houser S, Marini R, et al. Functional Arteries Grown in Vitro. Science (80-). American Association for the Advancement of Science; 1999; 284: 489–493. https://doi.org/10.1126/science.284.5413.489

45. Sheridan WS, Dufty GP, Murphy BP. Mechanical characterization of a customized decellularized scaffold for vascular tissue engineering. J Mech Behav Biomed Mater. 2012; 8: 58–70. https://doi.org/10.1016/j.jmbbm.2011.12.003 PMID: 22402154

46. Dolan EB, Gunning GM, Davis TA, Cooney G, Efrasio T, Murphy BP. The development and mechanical characterisation of a novel reinforced venous conduit that mimics the mechanical properties of an arterial wall. J Mech Behav Biomed Mater. Amsterdam, Netherlands: Elsevier Science; 2017; 71: 23–31. https://doi.org/10.1016/j.jmbbm.2017.02.012 PMID: 28259025