Radial velocities and binarity of southern SIM grid stars

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ABSTRACT

We present analysis of precision radial velocities (RV) of 1134 mostly red giant stars in the southern sky, selected as candidate astrometric grid objects for the Space Interferometry Mission (SIM). Only a few (typically, 2 or 3) spectroscopic observations per star have been collected, with the main goal of screening binary systems. The estimated rate of spectroscopic binarity in this sample of red giants is 32\% at the 0.95 confidence level, and 46\% at the 0.75 confidence. The true binarity rate is likely to be higher, because our method is not quite sensitive to very wide binaries and low-mass companions. The estimated lower and upper bounds of stellar RV jitter for the entire sample are 24 and 51 m/s, respectively; the adopted mean value is 37 m/s. A few objects of interest are identified with large variations of radial velocities, implying abnormally high mass ratios.

Key words: binaries: spectroscopic – stars: kinematics and dynamics.

1 INTRODUCTION

Space Interferometry Mission (SIM) was designed to perform global and narrow-angle astrometry at an unprecedented precision level of 1-10 microarcseconds per single measurement. At the time of its termination by NASA (following an explicitly negative assessment by the National Academy of Science in the Astro2010 Decadal Survey) SIM was in an advanced Phase B, having passed all eight technology development milestones. One of the ongoing Phase B studies was aiming at constructing a uniform, all-sky grid of reference stars, which would serve as an important stepping stone toward generating a global reference frame at a \(\approx 4\) \(\mu\)as level \cite{Unwin+2006}. SIM would spend a considerable fraction of its operational life time observing some 1300 grid stars in the wide-angle regime. The grid was needed to construct a rigid global reference frame from essentially differential path delay measurements of objects within a 15\'-diameter field of regard \cite{Makarov+2003}. Establishing a set of verified, astrometrically stable grid stars was crucial for the success of the global astrometry mission. In particular, a significant fraction of binary systems among the culled grid objects could jeopardize the project.

Grid star candidates were selected by an elaborate system of criteria, deemed to maximize the rate of stable, single stars. A detailed discussion of the criteria is rather technical and is outside the scope of this paper. Candidate grid stars were selected among presumably early K and clump giants, with estimated distances between 500 and 1000 pc. Preference was given to candidates with small to moderate proper motions. The latter criterion was supposed to reduce the risk of selecting nearby red dwarfs, since neither spectroscopic luminosity class nor parallaxes were available for these 10-11 mag stars. The candidates were found mostly in the Tycho-2 catalog \cite{Hog+2008}, avoiding the objects listed in the Tycho Double Star Catalog (TDS, \cite{Fabricius+2002}), and from the Guide Star catalog (GSC). Most of the sample stars have \(B - V\) colors between 1.0 and 1.3 mag. All stars have declinations south of \(-21^\circ\).

The SIM project office organized a large-scale observational campaign to screen spectroscopic binaries in both celestial hemispheres. High-precision radial velocity (RV) observations of some 3500 grid candidates were to be collected by three teams through a competitive contract on medium-class telescopes. One of the teams, led by Swiss astronomers Didier Queloz and Damien Segransan, produced the largest and most precise set of data spanning 753 days. The team used the 1.2 m Euler telescope in ESO La Silla Observatory, Chile, equipped with the CORALIE spectrograph. The set-up of the instrument and the observing technique are similar to those used for the exoplanet search program \cite{Queloz+2001}. Additional information on the calibration and data reduction techniques can be found in \cite{Baranne+1996}.

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p-value of our statistical test, i.e., the probability of the null hypothesis to be rejected while being true. The null hypothesis is that the star is single, and the observed scatter is solely caused by random errors with the expected variance. Thus, the derived $\text{CDF}(\chi^2)$ can serve as the confidence of binarity detection.

The main difficulty in this application is that the estimated formal errors of RV measurements only capture the instrumental part of the error budget, mostly the photon shot noise. A significant part, and in fact, the larger part of the observed dispersion in RV for giants, comes from the astrophysical phenomena on the stars themselves. This component, often called RV jitter, may be caused by stochastic and uncorrelated appearance of photospheric features on the surface, such as bright plages or dark spots, similar to the structures observed on the Sun. The changes in the distribution of surface brightness result in correlated photometric and RV variations. The latter have a more complex character, being a convolution of surface brightness distribution with the differential rotation curve and the geometric projection onto the viewing direction. The basic relations for the photometric and RV jitter due to spots are given in [Makarov et al. (2009)]. Most of the parameters entering these relations are not known for field red giants, such as rotation velocities, typical relative surface area of spots, inclinations of the equator to the line of sight. Little can be said about photospheric jitter on theoretical grounds. If the magnetic activity features are long-lived and large, such as observed on most magnetically active stars, many of these parameters can be reasonably estimated by intricate inverse solutions [Walker et al. (2005)], but this is not valid for regular red giants. Non-radial pulsations in red giants with periods between 1 hour and 3 days with photometric relative amplitudes peaking at 400 ppm may provide another significant contribution to the observed astrophysical jitter, but this assumption can only be verified by simultaneous, high-accuracy RV and photometric measurements at high cadence.

If we knew which of the observed stars are spectroscopic single, we could easily estimate the sample-mean jitter. The mean jitter is quadratically added to the instrumental error for each observation, and the median $\chi^2$ over the sample of single stars should be close to the argument of $\text{CDF}$ at 0.5. In other words, half of the single stars should have $p$-values smaller than 0.5. But it is not known a priori which stars are single, therefore, we can estimate only robust bounds for the jitter component. The upper bound is derived from the assumption that the observed scatter is only due to observational error and jitter, i.e., all the stars in the sample are non-binary. The level of jitter is adjusted until the median $\chi^2$ is equal to the expected value $k(1−2/(9k))^2$ ([Wilson & Hilbert (1993)]). The upper bound for the mean jitter thus estimated is $51\text{ m s}^{-1}$. The actual value is certainly smaller, because a significant fraction of the sample are strongly perturbed by binarity. The lower bound for jitter comes from the assumption that only the higher half of sample values $\chi^2$ are affected by spectroscopic binarity. The jitter level is adjusted until the median $\chi^2$ of the lower half of the sample distribution reaches the expected value $k(1−2/(9k))^2$. The lower bound comes up to $24\text{ m s}^{-1}$. We adopt the mean of the two bounds, $37\text{ m s}^{-1}$, as the average jitter dispersion for the sample. This value is likely to

2 RV, ERRORS AND BINARITY

The data set used in this paper is structured as shown in Table 1. A few lines of data are given for each of the 1134 observed stars. The first line is a header, consisting of the star’s name, equatorial coordinates (right ascension and declination) on J2000, number of RV measurements $n_{\text{obs}}$, derived mean RV in km s$^{-1}$ and its uncertainty (including the estimated stellar jitter) in km s$^{-1}$, binarity confidence, binary flag (0 for non-binary, 1 for binary) with 0.75 confidence. The names are mostly Tycho-2 identifications, which are consistent with the search engine of the Simbad Database. The RV values given in the header are the weighted mean estimates. For binary systems, these values may significantly deviate from the actual center-of-mass velocities. The heliocentric RV data are fully calibrated for known instrumental effects, but they do not include any star-specific corrections of astrophysical nature, such as convective blueshift or gravitational redshift. Nor any corrections are implemented for a possible difference between the observed and template K0III spectra. The header is followed by the specified number of individual RV measurement lines. Each line contains the Julian date of observation, observed RV in km s$^{-1}$, and the formal observational error in m s$^{-1}$. The latter is the estimated instrument error only, and as such, it does not include any uncertainty associated with the physical nature of the object. A total of 3026 observations are included in the table.

Given only two or three measurements for most stars, not much can be done toward characterizing spectroscopic binaries. We employed the simplest method of detecting possible binarity, i.e., a test of RV constancy. The weighted mean RV is first computed from the available measurements. The residuals are then used to compute the $\chi^2$ statistics. If our assumptions about individual random errors of RV measurements are correct and there is no additional scatter due to binarity, the derived $\chi^2$ should follow the $\chi^2$ distribution of probabilities with $k = n_{\text{obs}} − 1$ degrees of freedom. In particular, the $\chi^2$ cumulative distribution function (CDF) specifies the probability of obtaining a value which is smaller than the observed value. Reversely, $1−\text{CDF}(\chi^2)$ defines the

![Figure 1. Histogram of Spectroscopic binarity confidence levels for 1333 grid stars with more than 1 RV measurements.](image-url)
be slightly overestimated because, as we will see shortly, the rate bin. The flatness of this distribution is a significant result of confidence levels is quite flat everywhere except the high-
density levels is shown in Fig. 1. We note that the distribution formal instrument errors, the resulting distribution of conﬁ-
ﬁdence levels between 0.993 and 0.99999 corresponds to
0. The entire catalog is available online.
Notes:
The columns in a header line are: 1) Star identiﬁcation, mostly TYC, which are consistent with the Simbad search engine; 2) right ascension at J2000 in degrees; 3) declination at J2000 in degrees; 4) number of RV measurements; 5) mean radial velocity in km s
−1.

Radial velocity data for 1334 SIM grid stars.

| Star Identification       | Right Ascension          | Declination          | RV Measurements | Mean RV Uncertainty |
|---------------------------|--------------------------|----------------------|-----------------|--------------------|
| TYC 7381-00433 = HD 318347 | 2453558.83186604          | +41.3602              | 14.3            |                    |
| TYC 7381-00433 = HD 318347 | 2453556.93681788          | +41.254              | 18.4            |                    |
| TYC 7381-00433 = HD 318347 | 2453662.70714911          | +41.2784              | 23.5            |                    |
| TYC 7381-00433 = HD 318347 | 2453098.76299457          | +41.3880              | 17.9            |                    |
| 8021-00744-1               | 359.292000               | -44.504791            | 3 +40.2173      | 0.0411             |
| 2453569.56899134           | +40.2285                 | 20.6                 |                |                    |
| 2453639.69471882           | +40.1933                 | 14.1                 |                |                    |
| 2453986.70107572           | +40.2331                 | 19.1                 |                |                    |

3 OBJECTS OF NOTE
A few stars in the sample have unusually large RV variation, implying exceptionally high mass ratios or very short orbital
periods, or both. We select two such objects, which deserve a careful follow-up investigation.

TYC 6948-00350-1 = HD 206092 was observed with a total RV range of 266 km s
−1. This G9 III star has been identified by Kiraga (2012) as rotationally variable with an astonishing period of 2.1876 d and a line broadening parameter \( \nu \sin i \) of 80 km s
−1. Now it is also detected as a spectroscopic binary with a RV semi-amplitude of at least 133 km s
−1. Assuming that the primary star is synchronized, and the rotation period equals the orbital period, the mass ratio for this system should be above 1, or the eccentricity should be high. The latter option is not feasible in the light of previous studies of rotational velocities of red giants in binary systems (Massarotti et al. 2008), which found that all binaries with periods shorter than 20 d are circularized. We attempted to fold the available RV measurements with the rotational period, but failed to obtain a clear phase curve. Follow-up photometric and spectroscopic observations are needed to reveal the nature of this enigmatic object.

TYC 7381-00433-1 = HD 318347 has a RV range of at least 212 km s
−1. Little is known about this star. Surprisingly though, it is listed in Simbad as O type with emission lines, that is, a very hot and massive star. However, it is quite red with a \( B - V = 0.92 \) determined by Drilling (1991). We surmise this binary star may include a regular red giant accompanied by a post-AGB star or some other rare type of object on a short-period orbit.

4 DISCUSSION
Our estimate of multiplicity fraction for 1333 randomly selected, field red giant stars is close to the more accurately known rate for nearby Solar-type stars, 46\% ± 2\% (Raghavan et al. 2010). Our best estimate is 41\%, which may or may not include companions of substellar mass, depending on the actual level of stellar RV jitter and its distribution. The method of binarity detection employed in

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this paper is not sensitive to binaries with orbital periods longer than several years, possibly lowering this estimate by several percent. The wider-separation pairs are to be detected by direct imaging (Tokovinin et al. 2012) or astro-
metric techniques (Makarov, Zacharias & Hennessy 2008). They may contribute a few more percent to the all-inclusive multiplicity fraction, although the wide and common proper motion companions are often found in hierarchical multiple systems (Makarov & Eggleton 2009). On the other hand, dwarfs more massive than the Sun, which are more likely to be the progenitors of the present-day K giants, have a slightly higher binarity rate than their sub-solar counterparts (Duchêne & Kraus 2000). The overarching conclusion is that there seems to be no significant difference in the incidence of binarity among main-sequence dwarfs and field red giants.

Our results are consistent with other observational data for field red giants. Setiawan et al. (2004) collected and analyzed RV data for 77 G and K giants and detected a 20% multiplicity rate, despite the preliminary binarity screening. The RV jitter for those bluer and less luminous giants not detected as binary was constrained to < 60 m s\(^{-1}\). Based on the much larger sample and more observations, we are able to drastically improve these estimates.

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