Hybrid Sooty Tern Optimization and Differential Evolution for Feature Selection

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Abstract: In this paper, a hybrid model based on sooty tern optimization algorithm (STOA) is proposed to optimize the parameters of the support vector machine (SVM) and identify the best feature sets simultaneously. Feature selection is an essential process of data preprocessing, and it aims to find the most relevant subset of features. In recent years, it has been applied in many practical domains of intelligent systems. The application of SVM in many fields has proved its effectiveness in classification tasks of various types. Its performance is mainly determined by the kernel type and its parameters. One of the most challenging processes in machine learning is feature selection, intending to select effective and representative features. The main disadvantages of feature selection processes included in classical optimization algorithm are local optimal stagnation and slow convergence. Therefore, the hybrid model proposed in this paper merges the STOA and differential evolution (DE) to improve the search efficiency and convergence rate. A series of experiments are conducted on 12 datasets from the UCI repository to comprehensively and objectively evaluate the performance of the proposed method. The superiority of the proposed method is illustrated from different aspects, such as the classification accuracy, convergence performance, reduced feature dimensionality, standard deviation (STD), and computation time.

Keywords: sooty tern optimization algorithm; hybrid optimization; feature selection; support vector machine

1 Introduction

Many data-driven solutions from the fields of data mining and machine learning have been proposed to tackle the vast and complex data. In the field of data science, the classification is an important yet challenging task since the data to be processed is becoming increasingly complex [1]. In 2019, K. Kaur et al. proposed a decision tree-based method to predict the failure, lead time and health degree of hard disk drives [2]. In 2020, Zhu et al. applied the improved naive Bayes algorithm to perform software defect prediction for within-/cross-project scenarios. Experimental results showed that the proposed method had the better predictive ability [3]. In the same year, Zhang et al. applied feature-weighted gradient decent k-nearest
neighbor for selecting promising projects accurately [4]. Furthermore, a support vector machine was used to
detect the number of wide-band signals by Zhen which leads to improved performance [5]. However, due to
the variety and complexity of the data, the data classification tasks in various fields are still facing challenges.
With the aim of efficient and accurate data processing, researchers have proposed various methods to
incorporate feature selection to facilitate the classification tasks.

To better solve the problem of the combination of feature selection and classification methods, researchers
introduced the optimization algorithms to optimize the kernel parameters of SVM. Chapelle et al. proposed the
gradient descent method for parameter selection [6]. Yu et al. introduced a classification method based on two-
side cross-domain collaborative filtering, which can better build a classification model in the target domain by
inferring intrinsic users and features efficiently [7]. Meanwhile, in recent years, scholars have also begun to
combine feature selection with optimization algorithms to improve classification accuracy and efficiency.
Zhang et al. are the first to put forward the feature selection method using multi-objective particle swarm
optimization, which shows high competitiveness compared with the traditional single objective feature
selection [8]. Jia et al. combined the feature selection and spotted hyena optimization in 2019, which can
improve the accuracy and reduce redundant data [9]. Baliarsingh et al. also applied the emperor penguin
optimization (EPO) to the classification method in the same year to deal with the medical data, which
considerably settled the complicated and challenging data problems in the same year [10]. Therefore, these
studies inspire us to apply the practical optimization algorithms to feature selection for feature selection to
further improve the classification accuracy.

On the other hand, the sooty tern optimization algorithm (STOA) mimics the behavior of sooty tern in
nature. Since it was presented by Gaurav Dhiman et al. in 2019 [11], this method has been widely used in
many fields, such as financial stress prediction, feature selection, signal processing, etc. The STOA algorithm
still needs to be further improved to better deal with practical problems. Thus, the local search ability of the
STOA algorithm should be focused on. Another excellent optimization method is differential evolution (DE)
[12]. It can improve the search efficiency and maintain the population diversity while DE was introduced into
other algorithms. Xiong et al. proposed a hybrid method named DE/WOA to extract the proper parameters of
photovoltaic models [13]. Moreover, Jia et al. presented the model that combined GOA and DE for multilevel
satellite image segmentation, which improved the speed and accuracy of image segmentation [14].
Therefore, it can be known that the DE algorithm was suitable for solving the problem of insufficient
local search and local optimum entrapment in the traditional STOA algorithm.

The main contributions of this paper are as follows: Firstly, according to the concept of average fitness
value, this paper proposes the STOA-DE algorithm, which provides stronger convergence ability and faster
convergence speed compared with the traditional STOA algorithm; Secondly, the STOA-DE algorithm can
be applied to SVM with the feature selection process to optimize the parameters of SVM and binary features
simultaneously; Finally, the proposed model is verified on the classic UCI data sets in this paper.
Furthermore, the empirical confirms that the proposed method can effectively identify the useful features,
thus contributing to better classification accuracy. In other words, the STOA-DE algorithm has an
advantage in completing the data classification and has a wide range of engineering applications.

2 Basic Algorithm

A hybrid STOA algorithm with DE is described in detail in this section. Firstly, the STOA and DE
algorithm are introduced. Then, the hybrid model is explained profoundly. Last, the proposed algorithm
called STOA-DE is applied in the correlative domain.

2.1 Sooty Tern Optimization Algorithm

The STOA algorithm is inspired by the behavior of sooty tern in nature. It was firstly proposed by
Gaurav Dhiman for industrial engineering problems [11]. Sooty terns are omnivorous and eat
earthworms, insects, fish, and so on. Compared with other bionic optimization algorithms, the highlight
of STOA is its exploration and exploitation.
2.1.1 Migration Behavior (Exploration)

Migrating behavior, the exploration part, is defined as the following three aspects:

• Collision avoidance:

The search agent without colliding with other search agents, $S_{st}$, is used to calculate the new position to avoid collision between adjacent search agents.

$$C_{st} = S_{A} \times P_{st}(Z)$$

Where $C_{st}$ is the position of the search agent without colliding with other search agents, $P_{st}$ indicates the current location of the search agent, $Z$ represents the current iteration and $S_{A}$ shows the search agent movement in a given search space.

$$S_{A} = C_{f} - (Z \times (C_{f}/\text{Max iterations}))$$

Where,

$$Z = 0, 1, 2, \ldots, \text{Max iterations}$$

Where $C_{f}$ is the control variable to adjust $S_{A}$, and it is linearly reduced from $C_{f}$ to 0. Meanwhile, the value of $C_{f}$ is set to 2 in this paper.

• Converge towards the direction of the best neighbor:

The search agents move towards the best neighbor after collision avoidance.

$$M_{st} = C_{B} \times \left(P_{bst}(Z) - P_{st}(Z)\right)$$

where $M_{st}$ represents that the search agents in different positions $P_{st}$ move towards the best fittest search agent $P_{bst}$. $C_{B}$ is responsible for better exploration, which is defined as follows:

$$C_{B} = 0.5 \times R_{\text{rand}}$$

Where $R_{\text{rand}}$ is a random number between $[0, 1]$.

• Update towards the best search agent:

Finally, the search agents update their position toward the direction of the best sooty terns.

$$D_{st} = C_{st} + M_{st}$$

Where $D_{st}$ represents the distance between the search agent and the fittest search agent.

2.1.2 Attacking Behavior (Exploitation)

During migration, sooty terns can adjust their speed and angle of attack. They increase their altitude by their wings. In the case of attacking the prey, their spiral behaviors are defined as follows [15]:

$$x' = R_{\text{radius}} \times \sin(i)$$

$$y' = R_{\text{radius}} \times \cos(i)$$

$$z' = R_{\text{radius}} \times i$$

$$R_{\text{radius}} = u \times e^{kv}$$

Where $R_{\text{radius}}$ indicates the radius of each spiral and $i$ suggests the variable between $[0, 2\pi]$. $u$ and $v$ are constants that define the shape of spiral, while $e$ is the base of the natural logarithm. Furthermore, it is
assumed that the value of the constants $u$ and $v$ is 1 in this paper. Therefore, the position of the search agent will update as follows:

$$P_{st}(Z) = \left( D_u \times (x' + y' + z') \right) \times P_{bat}(Z)$$

(11)

### 2.2 Differential Evolution

As a simple but effective method, DE has attracted wide attention over the past few decades since it was proposed by Storn and Price in 1997 [12]. There are three steps in DE: mutation, crossover and selection. Scaling factor $SF$ and crossover probability $CR$ are two significant parameters that can influence the exploration and exploitation in optimization.

#### 2.2.1 Mutation

The mutation operation is mathematically defined as follows:

$$m_{i+1} = x_{r1} + SF \times \left( x_{r2} - x_{r3} \right)$$

(12)

where $m_{i+1}$ is the mutant individual in the $(t+1)$th iteration. $x_{r1}$, $x_{r2}$ and $x_{r3}$ represent three different individuals in the population. In detail, $r_1$, $r_2$ and $r_3$ are also different. Furthermore, $SF$ is a constant here.

#### 2.2.2 Crossover

After the mutation operation, the trial individual $c_{i+1}$ is selected from the current individual $x_i$ or mutant individual $m_{i+1}$ to improve the population diversity. The crossover operation is calculated as:

$$c_{i+1} = \begin{cases} 
  m_{i+1} & \text{if } rand \leq CR \\
  x_i & \text{if } rand > CR 
\end{cases}$$

(13)

Where $rand$ is a random number from 0 to 1. Moreover, $CR$ is a constant which represents the crossover probability.

#### 2.2.3 Selection

In the selection operation, the trial individual $c_{i+1}$ is compared to the current individual $x_i$ to obtain the $(t+1)$th generation individuals, and the selection operation is mathematically expressed as follows:

$$x_{i+1} = \begin{cases} 
  c_{i+1} & \text{if } f(c_{i+1}) < f(x_i) \\
  x_i & \text{otherwise} 
\end{cases}$$

(14)

Where $f$ represents the objective function of the optimization to be solved.

### 2.3 Hybrid Algorithm of STOA and DE (STOA-DE)

STOA is a meta-heuristic algorithm proposed in 2019, which has applied in many industrial fields. However, it still has some disadvantages, such as non-equalizing exploration-exploitation, slow convergence rate, and low population diversity. DE is a simple but powerful algorithm, which introduced into the STOA algorithm that can enhance the local search ability. Because the balance between exploration and exploitation is essential for any meta-heuristic algorithm, this paper combines the STOA and DE to improve the local search capability and search efficiency, and maintain population diversity in the later iteration. The hybrid model in this paper evaluates the average fitness value firstly, and the average fitness value represents the overall quality of the current objective solution. For the minimization problem if the fitness function value of the individual is less than the average fitness value, then the adjacent search area around the particle is promising. In other words, the hybrid model needs to strengthen the local search strategy. On the contrary, if the individual fitness function value is better than the average fitness value, the regional search strategy is not adopted [16].
The global optimization of STOA is used in the STOA-DE algorithm, which can improve obviously the search ability in an extensive range. At the same time, the advantages of the DE algorithm are combined in local convergence, which can reduce the possibility of optimal local trap and deepen the local search ability. After the combination, the balance between exploration and exploitation is improved. Then the accuracy of the algorithm and the convergence speed are improved, the convergence ability is enhanced, and the population diversity can be maintained in the later iteration.

3 The Proposed Model
3.1 Support Vector Machine

Support vector machine (SVM) is a non-linear binary classifier developed by Vapnik [17]. Furthermore, it constructs a linear separation hyper-plane in a high-dimensional vector space. The model is defined as the largest interval classifier in the feature space, and then it is transformed into the solution of convex quadratic programming problems. Compared with other machine learning methods, SVM is widely used in supervised learning and classification because of its high computational efficiency and excellent application ability. And in the linearly separable data sets, SVM creates the optimal separation hyper-plane to classify the samples. It is supposed that the data set \( T = \{ (x_1, y_1), \ldots, (x_n, y_n) \}, x_i \in \mathbb{R}^d, y_i \in \{-1, 1\} \) is linearly separable. As shown in Fig. 1, hollow circles and solid circles represent two types of data sets. \( H \) is the optimal hyperplane, \( H_1 \) and \( H_2 \) are the boundaries of the two classes of samples, the interval between \( H_1 \) and \( H_2 \) is called classification interval, and the points falling on \( H_1 \) and \( H_2 \) are called support vector.

![SVM optimal hyper-plane diagram](image)

**Figure 1:** SVM optimal hyper-plane diagram

Although the linear separation hyper-plane can achieve the optimal classification, in most cases, the data points belonging to different categories cannot be separated clearly, and the linear type will lead to a large number of wrong classifications. Therefore, it is necessary to map the original feature space to a higher dimensional space to find a hyper-plane that can correctly separate the data points. The kernel functions have several forms as follows [18]:

Linear kernels: 
\[
K(x_i, x_j) = x_i^T \cdot x_j
\]  
(15)

Polynomial kernels: 
\[
K(x_i, x_j) = (a + r \cdot x_i^T \cdot x_j)^Q, a \geq 0, r > 0
\]  
(16)

RBF kernels: 
\[
K(x_i, x_j) = \exp\left(-\gamma \| x_i - x_j \|^2 \right)
\]  
(17)

Where \( K(x_i, x_j) \) is the kernel function whose value is the inner product of the two vectors \( x_i \) and \( x_j \). As a result of the linear kernel function mainly solves the linear separated problems, and the polynomial kernel function...
has many parameters to adjust, so we choose the RBF kernel function, which can be mapped to a higher dimension.

### 3.2 Feature Selection and Binary Processing

Feature selection is a method to transform the high-dimensional data to low-dimensional data by finding the optimal feature subset from the initial feature space according to a specific criterion [19]. The evaluation criteria are mainly determined by the classification accuracy and the number of selected features. Furthermore, feature space generally includes three elements: relevant feature, irrelevant feature and redundant feature. According to the feature framework proposed by Dash in 1997 [20], feature selection mainly consists of generating feature subset, evaluating feature subset, stopping criterion and result verification. When the stop criterion is reached, the generation of the new feature subset will be stopped, and the optimal feature subset will be output at this time. Otherwise, the new feature subset will be generated until the stop criterion is reached. In this paper, the random search strategy is selected as the search strategy and the iterations are chosen as the stop criterion. In other words, the algorithm will stop when the iterations set in the experiment are reached.

The essence of feature selection is a binary optimization, so binary scheme should be set when we use the optimization algorithm to deal with the feature selection problem. Because the solution of feature selection is limited to \( \{0, 1\} \), “0” indicates that this feature is not selected, and “1” indicates that this feature is selected. However, the range of data values is uneven in the original data set, ranging from 0 to more than 10 million, which will seriously affect the classification result of SVM. Therefore, it is necessary to preprocess the data set. In order to normalize the data to the range of \([0, 1]\), the following formula is used for processing:

\[
X_{\text{norm}} = \frac{X - X_{\text{min}}}{X_{\text{max}} - X_{\text{min}}} \tag{18}
\]

Where, \( X \) represents the original data, \( X_{\text{norm}} \) means the normalized data, \( X_{\text{min}} \) and \( X_{\text{max}} \) represent the minimum and maximum values of this feature value range respectively.

### 3.3 STOA-DE for Optimizing SVM and Feature Selection

The two parameters \( C \) and \( \gamma \) need to be determined when using the RBF kernel function to construct the classification model of the support vector machine. The cost \( C \) represents the tolerance of error in the classification process. The larger \( C \) is, the more intolerable the classification error is, while the smaller the \( C \) is, the larger the error is, then the problem of under-fitting will occur. The kernel parameter \( \gamma \) controls the width of kernel function, and improper choice will still lead to incorrect classification. Therefore, the classification results of support vector machines are closely related to the selection of \( C \) and \( \gamma \) parameters.

In the traditional model, SVM firstly optimizes two parameters according to the exclusive features and then selects the features, which leads to that the key elements are not selected in the actual feature selection process. Thus, the data classification is not ideal. On the contrary, if the feature selection is carried out at first and then the parameters are optimized, the second optimization will be needed in each training process, which consumed too much time cost and is difficult to be applied to practical problems. Therefore, this paper proposed a method that combined parameters optimization and feature selection of SVM. The search dimensions are as follows: the cost \( C \), the kernel parameter \( \gamma \) and the binary feature strings.

As shown in Fig. 2, the two dimensions are used to search the cost \( C \) and the kernel parameter \( \gamma \). The remaining sizes are chosen to search for each binary feature in the data set. \( n \) is the number of components in the data set. The method proposed in this paper utilizes an optimization algorithm to optimize all dimensions simultaneously. For the two parameters of SVM, the particle usually searches for its optimal value according
to the optimization algorithm. As the same time, for the $n$ features of the data set, it is necessary to normalize the data set so that the whole data are normalized between $[0, 1]$. That is to say, if the solution of $l_1, l_2, \cdots, l_n$ is more significant than 0.5, the feature is selected, and its value is 1 [18]. Finally, the two parameters and the selected features are input into SVM together, then the fitness value is calculated by cross-validation.

\[
\begin{array}{cccccc}
\gamma & C & l_1 & l_2 & l_3 & \cdots & l_n \\
\end{array}
\]

**Figure 2:** Schematic of search dimensions for each individual

The proposed model in this paper optimized the two parameters of SVM and carried out the feature selection process simultaneously. It can ensure the accuracy of the selected features, avoid missing key components and reduce redundant features, thus improving the classification accuracy. Compared with the method of firstly selecting features, the way in this paper reduced the running time of the algorithm to a certain extent. Therefore, simultaneous feature selection and parameter optimization are more desirable. Meanwhile, the flow chart of the simultaneous optimization and feature selection based on the STOA-DE algorithm is as follows:

![Flow chart](image)

**Figure 3:** The flow chart of the proposed model

4 Experiments and Results

4.1 The Experimental Setup

The 12 classic UCI data sets (including four high-dimensional data sets) are used to prove the effectiveness of the STOA-DE algorithm from the average classification accuracy, the average selection
size, average fitness, standard deviation and average running time in this paper [21]. Meanwhile, in order to ensure the objectivity and comprehensiveness of the experiments, the other algorithms which have been applied in the feature selection field are selected for comparison in this paper. The detailed information about each data set is shown in Tab. 1.

| No. | Data set            | Features | Samples | Categories |
|-----|---------------------|----------|---------|------------|
| 1   | Iris                | 4        | 150     | 3          |
| 2   | Immunotherapy       | 8        | 90      | 2          |
| 3   | Tic-Tac-Toe         | 9        | 958     | 2          |
| 4   | Wine                | 13       | 178     | 3          |
| 5   | Zoo                 | 17       | 101     | 7          |
| 6   | Dermatology         | 33       | 366     | 6          |
| 7   | Ionosphere          | 34       | 351     | 2          |
| 8   | Divorce predictors  | 54       | 170     | 2          |
| 9   | Urban Land Cover    | 148      | 168     | 9          |
| 10  | Arrhythmia          | 279      | 452     | 16         |
| 11  | LSVT Voice          | 309      | 126     | 2          |
| 12  | Detect Malacious    | 513      | 373     | 2          |

In the experiments, the other six algorithms are selected as the comparison algorithm. The population size is set to 30. The number of runs is 30. The maximum of iterations is 100. All the experimental series are carried out on MATLAB R2014b, and the computer is configured as Intel(R) Core (TM) i5-5200U CPU @2.20GHz, using Microsoft Windows 8 system. Also, the parameter settings of other algorithms are shown in Tab. 2.

| Algorithms | Parameters                                                                 | Reference |
|------------|---------------------------------------------------------------------------|-----------|
| STOA-DE    | $C_f = 2$, $C_B \in [0, 0.5]$, $u, v = 1$, $CR = 0.9$, $SF = 0.5$ –       |           |
| STOA       | $C_f = 2$, $C_B \in [0, 0.5]$, $u, v = 1$                                | [11]      |
| DE         | $CR = 0.9$, $SF = 0.5$                                                   | [12]      |
| PSO        | $c_1, c_2 = 1.5$, $\omega = 0.75$, $v \in [0, 1]$, $a = 2$              | [22]      |
| MFO        | $b = 1.0$, $t \in [-1, 1]$, $r \in [-2, -1]$, $c = 2.0$                 | [23]      |
| SHO        | $h \in [0, 5]$, $M \in [0.5, 1]$                                        | [9]       |
| EPO        | $M = 2$, $f \in [2, 3]$, $l \in [1.5, 2]$                               | [10]      |
4.2 Evaluation Criteria

The following criteria are used to evaluate the performance of each optimization algorithm when it is run.

Average classification accuracy: Refers to the average classification accuracy of the data sets in the experiment. The higher the average classification accuracy, the better the classification effect. And the mathematical expression is as follows:

$$Mean = \frac{1}{M} \sum_{i=1}^{M} Accuracy(i)$$ (19)

Where $Accuracy(i)$ represents the classification accuracy in the $i^{th}$ experiment, and $M$ indicates the number of runs.

Average selection size: Represents the average value of the selected features during the experiment. The fewer the selected features, the more pronounced the effect of removing the irrelevant and redundant features is. Thus, the formula is mathematically indicated as follows:

$$Mean = \frac{1}{M} \sum_{i=1}^{M} Size(i)$$ (20)

Where $Size(i)$ represents the number of features selected by each algorithm in the $i^{th}$ experiment.

Fitness function: The two main objectives of feature selection are classification accuracy and the selected features. The ideal result is that the selected features are less, and the classification accuracy is higher. Therefore, this paper evaluates the performance of the proposed algorithm on feature selection according to these two criteria. Meanwhile, the fitness function is represented as follows:

$$Fitness = \alpha \cdot \gamma_R(D) + \beta \frac{|R|}{|N|}$$ (21)

Where $\alpha$ represents the proportion of classification accuracy and $\alpha$ is 0.99 in this paper [24]. Meanwhile, $\gamma_R(D)$ means the classification error rate and is expressed as follows Eq.(22). Where, $Accuracy$ is the classification accuracy. The parameter $\beta$ is the importance of selected features, representing the weight of selected features in the fitness function, where $\beta = 1 - \alpha$, $R$ represents the length of the selected feature subset, as same as the $Size$ mentioned above, and $N$ represents the full features of the data set.

$$\gamma_R(D) = 1 - Accuracy$$ (22)

Average fitness: Represents the average value obtained by repeated calculation of the algorithm in the experiment. The smaller the average fitness is, the better the ability of feature selection in balancing to enhance classification accuracy and reduce the selected features is. It can be expressed as:

$$Mean = \frac{1}{M} \sum_{i=1}^{M} Fitness(i)$$ (23)

Where $Fitness(i)$ shows the fitness of these optimization algorithms in the $i^{th}$ experiment.

Statistical standard deviation (std): Means the stability of the optimization algorithm in the experiments. The smaller the standard deviation is, the better the stability is. Furthermore, it is shown as follows:

$$std = \sqrt{\frac{1}{M} \sum_{i=1}^{M} (Fitness(i) - Mean)^2}$$ (24)

Average running time: Represents the average time spent in the whole experiment. As is known to all, the time cost is also significant in engineering practice, so the average running time is introduced
to the evaluation criteria to evaluate the superiority of the proposed method better. And the calculation formula is as follows:

\[
Mean = \frac{1}{M} \sum_{i=1}^{M} \text{Runtime}(i)
\]  

(25)

Where \( \text{Runtime}(i) \) shows the running time of the algorithm in the \( i^{th} \) experiment.

4.3 Classical UCI Data Set Experiments

It can be seen from the experimental results of classification accuracy in Tab. 3, except for LSVT Voice, the STOA-DE algorithm has the best performance in classification accuracy and divides the data set accurately. Meanwhile, the figure shows that the whole classification accuracy of LSVT Voice is not good. In other words, this experiment is an accidental event and not representative. Furthermore, it can be noted that the proposed method in this paper achieves 100% classification accuracy in both the Tic-Tac-Toe and Divorce predictors, and obtains 99.73% in Detect Malacious. Therefore, it can be proved that the proposed method has competition in simultaneous feature selection and support vector machines.

| Data set            | The average classification accuracy(%) |
|---------------------|----------------------------------------|
| STOA-DE             | STOA | DE  | PSO | MFO | SHO | EPO  |
| Iris                | 98.67| 98.43| 98.67| 98.00| 94.00| 98.12| 98.67|
| Immunotherapy       | 90.22| 85.56| 78.89| 81.44| 81.11| 79.28| 78.67|
| Tic-Tac-Toe         | 100.00| 83.40| 68.68| 77.24| 78.08| 78.18| 100.00|
| Wine                | 96.83| 90.30| 71.35| 73.00| 56.18| 71.20| 72.06|
| Zoo                 | 99.04| 97.03| 97.03| 97.03| 87.13| 95.05| 98.80|
| Dermatology         | 97.81| 94.90| 96.99| 96.72| 53.55| 35.18| 94.67|
| Ionosphere          | 96.69| 93.73| 95.73| 65.24| 66.10| 64.67| 96.01|
| Divorce predictors  | 100.00| 98.41| 67.65| 98.24| 79.41| 67.65| 98.12|
| Urban Land Cover    | 72.64| 60.15| 50.98| 17.26| 61.83| 38.57| 40.63|
| Arrhythmia          | 74.84| 69.03| 54.84| 58.71| 67.89| 74.19| 58.71|
| LSVT Voice          | 66.67| 66.67| 66.67| 66.67| 66.67| 66.67| 66.67|
| Detect Malacious    | 99.73| 99.46| 99.26| 99.20| 89.37| 81.77| 99.73|

Tab. 4 shows the average feature selection size during the experiment. According to the figure, it can be verified that the feature selection size is relatively small by using the proposed STOA-DE algorithm in most cases. Although the proposed algorithm did not obtain the optimal result in the Wine, Forest types and Dermatology, the STOA-DE algorithm was the most outstanding among the test of data sets larger than 100 dimensions. Therefore, compared with other algorithms, it can be found that the proposed model in this paper is superior in processing the data dimension reduction problem.

It can be found from Tab. 5 that the time advantage of the proposed algorithm is not very obvious because the proposed method is the hybrid of STOA and DE, so its time is slightly less than the traditional STOA algorithm. However, it can be seen that the proposed algorithm is still hopeful even
though it is not the fastest. Because the STOA algorithm converges quickly and is easy to mature early, the running time of the hybrid model has improved compared with the traditional DE. At the same time, it can be noted that owing to the superiority of the STOA algorithm, the proposed STOA-DE algorithm still has time superiority compared with other algorithms in most cases. Therefore, the proposed model in this paper has potential.

Table 4: The average selection size of each algorithm

| Data set       | The average selection size |
|----------------|----------------------------|
|                | STOA-DE | STOA | DE  | PSO | MFO | SHO | EPO |
| Iris           | 1.10     | 1.90  | 1.95 | 1.47 | 1.23 | 1.67 | 1.86 |
| Immunotherapy  | 1.46     | 1.73  | 4.03 | 2.83 | 2.02 | 3.33 | 3.63 |
| Tic-Tac-Toe    | 3.67     | 4.23  | 4.83 | 5.29 | 6.25 | 8.22 | 7.03 |
| Wine           | 4.06     | 4.23  | 13.36| 6.67 | 3.78 | **3.66** | 5.40 |
| Zoo            | 2.72     | 7.66  | 3.27 | 7.31 | 3.49 | 6.52 | 7.11 |
| Dermatology    | 10.81    | 13.33 | 14.18| 14.40| 14.14| 11.57| **9.57** |
| Ionosphere     | **10.53**| 16.23 | 11.75| 14.07| 13.45| 19.43| 15.87 |
| Divorce predictors | **20.47**| 23.50 | 26.39| 26.70| 21.68| 21.29| 24.70 |
| Urban Land Cover | **45.74**| 73.56 | 76.41| 77.86| 58.93| 67.84| 69.75 |
| Arrhythmia     | **131.74**| 139.26| 152.84| 149.37| 137.42| 189.63| 172.63 |
| LSVT Voice     | **151.47**| 153.27| 161.29| 152.74| 152.46| 161.85| 162.36 |
| Detect Malicious | **115.84**| 271.28| 289.32| 264.53| 117.62| 267.49| 317.27 |

Table 5: The average time of each algorithm

| Data set       | The average time (s) |
|----------------|----------------------|
|                | STOA-DE | STOA | DE  | PSO | MFO | SHO | EPO |
| Iris           | 12.71   | **12.09**| 13.54| 14.36| 19.49| 14.41| 15.28 |
| Immunotherapy  | 7.09    | **6.95**| 8.44 | 7.52 | 6.50 | 9.22 | 10.23 |
| Tic-Tac-Toe    | 169.67  | **169.29**| 229.35| 171.52| 347.95| 189.53| 181.08 |
| Wine           | 40.23   | **39.67**| 44.17| **39.67**| 32.05| 51.26| 48.81 |
| Zoo            | 16.95   | **16.25**| 28.71| 16.49| 24.42| 19.45| 20.38 |
| Dermatology    | 97.69   | **93.76**| 117.11| 97.74| 202.98| 115.87| 117.21 |
| Ionosphere     | 74.74   | **71.91**| 84.83| 85.09| 112.62| 81.92| 86.96 |
| Divorce predictors | 29.17  | **27.26**| 38.82| 32.63| 29.68| 32.87| 42.41 |
| Urban Land Cover | 186.15 | **185.79**| 197.37| 188.76| 186.57| 207.50| 192.15 |
| Arrhythmia     | **4132.40**| 4286.94| 4690.48| 4802.38| 5037.96| 5129.23| 4582.08 |
| LSVT Voice     | 110.32  | 104.39 | 115.47| 105.10| 108.29| **102.43**| 103.71 |
| Detect Malicious | 151.86 | **109.94**| 502.79| 837.45| 683.28| 829.48| 664.20 |
Combined with the above mentioned average classification accuracy and the average selection size, the value of fitness function is evaluated in Fig. 4 and 5. It can be seen from the figures that the proposed algorithm has advantages in mean fitness value and standard deviation in different dimensions. Therefore, it can be proved that simultaneous feature selection and support vector machine parameters optimization based on the STOA-DE algorithm has excellent accuracy and excellent stability. Fig. 6 shows the convergence curve drawn from the fitness value of the last experiment in 30 runs, which completely expresses the convergence process of each data set. From these results, it can be found that no matter how the dimensions of data features are, the STOA-DE algorithm still shows faster convergence speed, higher convergence precision and more vital convergence ability. Therefore, the feasibility of the proposed method can be proved more clearly and accurately through experiments.

Figure 4: The average fitness of each algorithm

Figure 5: The standard deviation of fitness of each algorithm
5 Conclusion

Aiming at the imbalanced exploration and exploitation and the low population diversity in the traditional STOA algorithm, the STOA-DE algorithm is proposed in this paper to improve the local search ability to obtain better solutions. Moreover, the combination of optimization algorithm with SVM and feature selection can optimize the two parameters of SVM and select feature simultaneously. The proposed method enhances the ability of data analysis and learning. Through the experiments of classic UCI data sets, it can be known that the optimal search ability of the proposed method has more advantages and can effectively complete the data classification work. For future research, we can further study the hybrid model of optimization algorithm to be better applied to the field of data preprocessing.

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**References**

[1] W. D. Jiang, T. A. Yang, G. Sun, Y. C. Li, Y. X. Tang et al., “The analysis of china’s integrity situation based on big data,” *Journal on Big Data*, vol. 1, no. 3, pp. 117–134, 2019.

[2] K. Kaur and K. Kaur, “Failure prediction, lead time estimation and health degree assessment for hard disk drives using voting based decision trees,” *Computers, Materials & Continua*, vol. 60, no. 3, pp. 913–946, 2019.

[3] K. Zhu, N. Zhang, S. Ying and X. Wang, “Within-project and cross-project software defect prediction based on improved transfer naive Bayes algorithm,” *Computers, Materials & Continua*, vol. 63, no. 2, pp. 891–910, 2020.

[4] C. Zhang, J. Yao, G. Hu and T. Schott, “Applying feature-weighted gradient decent k-nearest neighbor to select promising projects for scientific funding,” *Computers, Materials & Continua*, vol. 64, no. 3, pp. 1741–1753, 2020.

[5] J. Zhen, “Detection of number of wideband signals based on support vector machine,” *Computers, Materials & Continua*, vol. 62, no. 3, pp. 445–455, 2020.

[6] O. Chapelle, V. Vapnik, O. Bousquet and S. Mukherjee, “Choosing multiple parameters for support vector machines,” *Machine Learning*, vol. 46, no. 1–3, pp. 131–159, 2002.

[7] X. Yu, Y. Chu, F. Jiang, Y. Guo and D. W. Gong, “SVMs classification based two-side Cross domain collaborative filtering by inferring intrinsic user and item features,” *Knowledge-Based Systems*, vol. 141, no. 1, pp. 80–91, 2018.

[8] Y. Zhang, D. W. Gong and J. Cheng, “Multi-objective particle swarm optimization approach for cost-based feature selection in classification,” *IEEE/ACM Trans. on Computational Biology and Bioinformatics*, vol. 14, no. 1, pp. 64–75, 2017.

[9] H. M. Jia, J. D. Li, W. L. Song, X. X. Peng, C. B. Lang et al., “Spotted hyena optimization algorithm with simulated annealing for feature selection,” *IEEE ACCESS*, vol. 7, pp. 71943–71962, 2019.

[10] S. K. Baliarsingh, W. Ding, S. Vipsita and S. Bakshi, “A memetic algorithm using emperor penguin and social engineering optimization for medical data classification,” *Applied Soft Computing*, vol. 85, no. 1, pp. 105773, 2019.

[11] G. Dhiman and A. Kaur, “STOA: A bio-inspired based optimization algorithm for industrial engineering problems,” *Engineering Applications of Artificial Intelligence*, vol. 82, pp. 148–174, 2019.

[12] R. Storn and K. Price, “Differential evolution—A simple and efficient heuristic for global optimization over continuous spaces,” *Journal of Global Optimization*, vol. 11, no. 4, pp. 341–359, 1997.

[13] G. Xiong, J. Zhang, X. Yuan, D. Shi, Y. He et al., “He et al, Parameter extraction of solar photovoltaic models by means of a hybrid differential evolution with whale optimization algorithm,” *Solar Energy*, vol. 176, no. 4, pp. 742–761, 2018.

[14] H. M. Jia, C. B. Lang, D. Oliva, W. L. Song and X. X. Peng, “Hybrid grasshopper optimization algorithm and differential evolution for multilevel satellite image segmentation,” *Remote Sensing*, vol. 11, no. 9, pp. 1134, 2019.

[15] K. Tamura and K. Yasuda, “The spiral optimization algorithm: convergence conditions and settings,” *IEEE Transactions on Systems, Man, and Cybernetics: Systems*, vol. 50, no. 1, pp. 360–375, 2020.

[16] H. M. Jia, Y. Li, C. B. Lang, X. X. Peng, K. J. Sun et al., “Hybrid grasshopper optimization algorithm and differential evolution for global optimization,” *Journal of Intelligent & Fuzzy Systems*, vol. 37, no. 5, pp. 1–12, 2019.

[17] C. Cortes and V. Vapnik, “Support-vector networks,” *Machine Learning*, vol. 20, no. 3, pp. 273–297, 1995.

[18] A. Ibrahim, M. A. Ala’, F. Hossam, A. H. Mohammad, M. Seyedali et al., “Simultaneous feature selection and support vector machine optimization using the grasshopper optimization algorithm,” *Cognitive Computation*, vol. 10, no. 3, pp. 478–495, 2018.

[19] Z. L. Cai and W. Zhu, “Feature selection for multi-label classification using neighborhood preservation,” *IEEE/CAA Journal of Automatica Sinica*, vol. 5, no. 1, pp. 320–330, 2018.
[20] M. Dash and H. Liu, “Feature selection for classification,” 1997.
[21] C. Blake, “UCI repository of machine learning databases,” 2021. [Online]. Available: http://www.ics.uci.edu/~mlearn/MLRepository.html.
[22] J. Liu, Z. Liu and Y. Xiong, “Method of Parameters Optimization in SVM based on PSO,” Trans. on Computer Science & Technology, vol. 2, no. 1, pp. 9–16, 2013.
[23] S. Mirjalili, “Moth-flame optimization algorithm: A novel nature-inspired heuristic paradigm,” Knowledge-Based Systems, vol. 89, pp. 228–249, 2015.
[24] E. Emary, H. M. Zawbaa and A. E. Hassanien, “Binary ant lion approaches for feature selection,” Neurocomputing, vol. 213, no. 6, pp. 54–65, 2016.