BIT LOADING ALGORITHMS FOR COOPERATIVE OFDM SYSTEMS

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ABSTRACT

In this paper, we investigate the resource allocation problem for an OFDM cooperative network with a single source-destination pair and multiple relays. Assuming knowledge of the instantaneous channel gains for all links in the entire network, we propose several bit and power allocation schemes aiming at minimizing the total transmission power under a target rate constraint. First, an optimal and efficient bit loading algorithm is proposed when the relay node uses the same subchannel to relay the information transmitted by the source node. To further improve the performance gain, subchannel permutation, in which the subchannels are reallocated at relay nodes, is considered. An optimal subchannel permutation algorithm is first proposed and then an efficient suboptimal algorithm is considered to achieve a better complexity-performance tradeoff. Simulation results show that significant performance gains can be achieved by the proposed bit loading algorithms, especially when subchannel permutation is employed.

I. INTRODUCTION

In cooperative systems, a group of single-antenna nodes transmits as a “virtual antenna array,” obtaining diversity gain without requiring multiple antennas at individual nodes. Much recent work has addressed aspects of cooperative diversity, and significant benefits can be achieved (for example, see [1]-[2]).

Orthogonal Frequency Division Multiplexing (OFDM) is the underlying physical-layer technology for IEEE802.11 (WiFi) [3], as well as for IEEE802.16 (WiMAX) [4]. The modularity of OFDM and the fact that it will be used in many current and future systems makes it very appealing for consideration in cooperative wireless networks. More importantly, the use of orthogonal signaling and the inherent frequency diversity in a well-designed OFDM system are especially useful in obtaining the maximum benefits from cooperation. Currently, relay and cooperative networks with OFDM(A) transceivers have been proposed for applications in several emerging systems. IEEE 802.16’s Relay Task Group [5] is a developing standard for 802.16-based multihop networks. Also, relaying is considered in IEEE 802.11s [6], a developing mesh networking standard.

In an OFDM system, additional significant gains can be achieved by adaptive loading. In particular, more bits are placed in subchannels with larger channel gains, while subchannels which are faded carry less or even no bits. Over the past decade, this problem has been extensively investigated (for example, see [7]). In particular, different power and bit allocation schemes with diverse optimization objectives in single-user and multiuser environments have been studied.

The resource allocation problem in cooperative networks, however, has received much less attention. In [8], adaptive loading is employed in relay-to-destination links in an OFDM cooperative network to improve the end-to-end performance. In [9]-[10], the power allocation problem for nonregenerative OFDM relay links is investigated; in this work, the instantaneous rate is maximized for a given source and relay power constraint. In [11], aiming at maximizing the achievable sum rate from all the sources to the destination, a source, relay, and subchannel allocation problem for an OFDMA relay network is studied; however, in this work, the assumption that the relay node uses the same subchannel to relay the information transmitted by the source node limits the performance gain.

In this paper, we employ subchannel permutation, in which the subchannels are reallocated at relay nodes, and devise bit loading algorithms for cooperative OFDM systems with decode-and-forward relaying strategy. We consider a single source-destination pair with multiple assisting relay nodes. Our objective is to minimize the total transmission power by allocating bits and power to each subchannel based on the instantaneous channel gains. We first devise optimal bit loading algorithms under the assumption that the relay nodes re-transmit the information in the same subchannel as the source node. Then, we consider reallocating the source subchannels to possibly different relay subchannels to further improve performance. In this regard, the optimal subchannel per-
mutation algorithm is described. To achieve the optimum performance, however, a large number of computations and comparisons is needed. We then propose a simple and efficient subchannel permutation algorithm. Simulation results indicate that significant performance gains can be achieved by the proposed bit loading algorithms, especially with subchannel permutation at the relay nodes.

The paper is organized as follows. The system model is described in Section II. In Section III, we propose optimal and efficient bit loading algorithms without subchannel permutation. The combination of these algorithms with subchannel permutation is considered in Section IV. Simulation results are given in Section V. Finally, Section VI summarizes and concludes the paper.

II. SYSTEM MODEL

We consider a single source-destination cooperative system with \( K \) relay nodes, as shown in Fig. 1. The relay nodes are randomly located between the source node and the destination node. An OFDM transceiver with \( N \) subchannels is available at each node. We assume perfect time and frequency synchronization among nodes and the inclusion of a cyclic prefix that is long enough to accommodate the delay spread of the channel.

A two-stage transmission protocol, as shown in Fig. 1, is adopted. In the first stage, the source transmits and the other nodes listen - the links in this stage are called the source-relay (SR) links and the source-destination (SD) link. In the second stage, the relays retransmit the message to the destination - the links in this stage are called the relay-destination (RD) links. Here, we adopt a selective decode-and-forward relaying strategy. In particular, each source subchannel can only be relayed by one relay node. The selected relay node will fully decode the received information, re-encode it, and then forward it to the destination. In the RD links, a specific subchannel can only be used by one relay node. Different source subchannels may select different relay nodes, similar to the selective OFDMA relaying in [12]. The destination node employs maximal ratio combining to combine the received signals from the first and second stages.

Centralized resource allocation algorithms are considered in this paper. In particular, a central controller first collects the instantaneous channel gains of all links in the system. Then, it performs the assignment of resources and broadcasts the decisions to each node. We also assume all the channels experience slow fading. The possible application scenarios include WiFi and WiMax systems where the access point or base station can serve as the central controller. A detailed protocol including

![Fig. 1. Two-stage transmission protocol: In the first stage, the source transmits; in the second stage, those nodes which can decode the message from the source retransmit it to the destination.](image)

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We assume that the total required data rate is \( R \) bits per OFDM symbol (block). Let \( b_n \) denote the number of bits assigned to source subchannel \( n \); \( b_n \) can take values in the set \( B = \{0,1,...,B_{max}\} \). Further, denote the channel response of subchannel \( n \) from the source node to relay node \( k \), from the source node to the destination node, and from relay node \( k \) to the destination node as \( H_{sr_k}(n) \), \( H_{sd}(n) \) and \( H_{rd_k}(n) \), respectively. In general, these include path loss, shadowing, and Rayleigh fading. For convenience, let \( G_{sr_k}(n), G_{sd}(n) \) and \( G_{rd_k}(n) \) denote the channel power gains, \( \|H_{sr_k}(n)\|^2 \), \( \|H_{sd}(n)\|^2 \), and \( \|H_{rd_k}(n)\|^2 \), respectively.

Let \( \gamma(b_n) \) be the required received SNR per symbol in subchannel \( n \) for reliable reception of \( b_n \) bits/symbol. As in [13], SNR per symbol for subchannel \( n \) is

\[
\gamma(b_n) = \rho \ast (2^{b_n} - 1)
\]

(1)

The parameter \( \rho \) ranges from 1 to about 6.4, depending on the degree of coding used [13]. The required received power \( P_{req}(b_n) \) can be written as

\[
P_{req}(b_n) = \gamma(b_n)N_0
\]

(2)

where \( N_0 \) is the double-sided noise power spectral density level.

Each subchannel can operate in two different modes: direct or cooperative transmission. Each subchannel compares the required power of these two modes and selects the one which has the minimum required power to achieve reliable reception at the destination node. The minimum power required for the direct transmission mode is

\[
P_{sd}^D(n) = \frac{P_{req}(b_n)}{G_{sd}(n)}
\]

(3)

The required power for cooperative transmission through relay node \( k \) includes two parts. The first part is the required source power to guarantee successful transmission from the source node to the relay node \( k \). The
second part is the transmission power of relay node $k$, which is determined by the fact that the sum of the two received powers at the destination node should be greater than the required minimum received power $P_{req}(b_n)$. We assume relay node $k$ uses subchannel $j$ to re-transmit the information from the source node in subchannel $n$. The relay node can use either the same subchannel to re-transmit the information or another subchannel. Let $P_{sr_k}^C(n)$ and $P_{rd}^C(n,j)$ denote the source power and the relay $k$ power, respectively. The two powers should satisfy

$$P_{sr_k}^C(n)G_{sr_k}(n) \geq P_{req}(b_n)$$

and

$$P_{sr_k}^C(n)G_{sd}(n) + P_{rd}^C(n,j)G_{rd}(n,j) \geq P_{req}(b_n)$$

The total power for cooperative transmission is

$$P_{C}^d(n,j) = P_{sr_k}^C(n) + P_{rd}^C(n,j)$$

When the channel gains of the SR and the RD links are both greater than the channel gains of the SD links, i.e., $G_{sd}(n) < \min\{G_{sr_k}(n), G_{rd}(n,j)\}$ for any $k$, cooperative transmission requires less power than direct transmission. The minimum power required for cooperative transmission through subchannel $j$ at relay node $k$ can then be expressed as

$$P_{C}^d(n,j) = P_{req}(b_n)\frac{\Delta_k(n,j)}{G_{sr_k}(n)G_{rd}(n,j)}$$

where $\Delta_k(n,j) = G_{sr_k}(n) + G_{rd}(n,j) - G_{sd}(n)$.

Here, for cooperative transmission, we define an equivalent channel power gain $G_{C}^r(n,j)$, given by

$$G_{C}^r(n,j) = \frac{G_{sr_k}(n)G_{rd}(n,j)}{\Delta_k(n,j)}$$

Thus, the minimum total power required for cooperative transmission for subchannel $n$ through subchannel $j$ at relay node $k$ is

$$P_{C}^d(n,j) = \frac{P_{req}(b_n)}{G_{C}^r(n,j)}$$

We use $\beta(n) \in \{0, 1\}$ to indicate the mode in which subchannel $n$ operates. Let $\beta(n) = 1$ indicate direct transmission. Also, we use $\alpha_k(n,j) \in \{0, 1\}$ to indicate whether or not subchannel $n$ is used in cooperation with subchannel $j$ at relay node $k$. Our objective is to allocate bits and power to each subchannel to minimize the total transmitting power $P_T$. Mathematically, we can formulate the optimization problem as

$$P_T^* = \min_{b_n \in B} \sum_{n=1}^{N} \frac{P_{req}(b_n)}{G(n)}$$

where

$$G(n) = \beta(n)G_{sd}(n) + \sum_{k=1}^{K} \sum_{j=1}^{N} \alpha_k(n,j)G_{C}^r(n,j)$$

subject to the following three constraints

$$C1 : R = \sum_{n=1}^{N} b_n$$

$$C2 : \beta(n) + \sum_{k=1}^{K} \sum_{j=1}^{N} \alpha_k(n,j) = 1, \forall n,$$

$$C3 : \sum_{k=1}^{K} \sum_{j=1}^{N} \alpha_k(n,j) \leq 1, \forall j$$

Note that $C1$ is the rate constraint, $C2$ indicates that each SR subchannel can only be relayed by at most one relay at a given time, and $C3$ means that each RD subchannel $j$ can be used by at most one relay.

### III. BIT LOADING

In this section, we devise bit loading algorithms without subchannel permutation. In this case, for subchannel $n$ in the SR links, the selected relay node also uses subchannel $n$ in the RD links to retransmit the information. The equivalent channel power gain through relay node $k$ is determined by the mode in which the subchannel is used. If $G_{sd}(n) < \min\{G_{sr_k}(n), G_{rd}(n,j)\}$, cooperative transmission is preferred and the equivalent channel power gain is the cooperative transmission gain, $G_{C}^r(n,j)$; otherwise, direct transmission costs less power and the equivalent channel power gain is the gain of SD links, $G_{sd}(n)$. Hence, if $G_{sd}(n) < \min\{G_{sr_k}(n), G_{rd}(n,j)\}$, the equivalent channel power gain through relay node $k$ is

$$G_{sr_k}(n) = \frac{G_{sr_k}(n)G_{rd}(n,j)}{\Delta_k(n,j)}$$

otherwise

$$G_{sr_k}(n) = G_{sd}(n)$$

Each subchannel should be used by the relay node, among the $K$ nodes, which has the largest equivalent channel power gain to relay the information. Let $G_{eq}(n)$ denote this maximum equivalent channel power gain, then it can be written as

$$G_{eq}(n) = \arg \max_{k=1,...,K} G_{sr_k}(n)$$

The optimization problem in (10) can be rewritten as

$$P_T^* = \min_{b_n \in B} \sum_{n=1}^{N} \frac{P_{req}(b_n)}{G_{eq}(n)}$$

In this case, $C2$ and $C3$ are automatically satisfied, and we only need to consider the rate constraint, $C1$. 

A. Greedy Algorithm

From (17) we can see that the optimization problem is similar to that in point-to-point OFDM systems, which has been extensively researched. Among all kinds of algorithms, the greedy algorithm, first introduced in [14], is believed to yield the optimal solution. This algorithm allocates bits one by one until the target rate \( R \) is achieved. In each step, the additional power increase of each subchannel in order to transmit the additional bit in that subchannel is calculated, and the one with the minimum power increase is selected. The idea is quite simple and several efficient greedy algorithms [15] have been proposed. However, the sorting and comparisons in each step make the algorithm complex, especially when the available subchannels and the target number of bits are very large, as in IEEE 802.16 systems.

B. Lagrange Optimization

As discussed in the previous subsection, the greedy algorithm has the optimal performance, but it is too complex for high data-rate systems. In this subsection, we propose an efficient bit loading algorithm. To solve the optimization problem (17), we first release the constraint that \( b_n \) must be an integer. Substituting (1) and (2) into (17), we obtain

\[
P_T^* = \min_{b_n} \sum_{n=1}^{N} \frac{\rho \ast (2^{2b_n} - 1)N_0}{G_{eq}(n)}
\]

\[
= -\sum_{n=1}^{N} \frac{\rho N_0}{G_{eq}(n)} + \min_{b_n} \sum_{n=1}^{N} \frac{\rho \ast 2^{2b_n}N_0}{G_{eq}(n)}
\]

So the optimization problem reduces to

\[
P_T^* = \min_{b_n} \sum_{n=1}^{N} \frac{\rho N_0 \ast 2^{2b_n}}{G_{eq}(n)}
\]

Including the constraint, the objective function is

\[
L(\lambda) = \sum_{n=1}^{N} \frac{\rho N_0 \ast 2^{2b_n}}{G_{eq}(n)} - \lambda R - \sum_{n=1}^{N} b_n
\]

where \( \lambda \) is a Lagrange multiplier. After differentiating \( L(\lambda) \) with respect to \( b_n \), and setting to 0, we obtain

\[
\frac{2^{2b_n}}{G_{eq}(n)} = \frac{\lambda}{2\rho N_0 \ast ln2} = \varphi, \forall n
\]

where \( \varphi \) is a constant independent of \( n \). Then we get

\[
\left( \frac{2^{2b_n}}{G_{eq}(n)} \right)^N = \varphi^N = \prod_{n=1}^{N} \frac{2^{2b_n}}{G_{eq}(n)} = \frac{2^{2\sum_{n=1}^{N} b_n}}{\prod_{n=1}^{N} G_{eq}(n)}
\]

Thus the number of bits in subchannel \( n, b_n \), is

\[
b_n = \frac{R}{N} + \frac{1}{2} \log_2 \frac{G_{eq}(n)}{\left( \prod_{n=1}^{N} G_{eq}(n) \right)^{1/N}}
\]

The first part in (23) is the average number of bits per subchannel. The second part is a margin determined by the ratio of the \( n \)-th subchannel’s power gain over the geometric mean of the \( N \) subchannels’ power gains [7].

In the previous derivations, we removed the constraint on \( b_n \) to be an integer. Moreover, the result in (23) may be less than zero. This means that the channel gain of subchannel \( n \) is so small that we should not transmit any information. We exclude these subchannels and then repeatedly apply (23) until all the \( b_n \) are greater than zero. Next, we can adopt the algorithm in [16] to round \( b_n \) to an integer value. The required transmission power can be calculated using (17) after all the bits are allocated. Note that, in this algorithm, the number of iterations is determined by the number of subchannels with zero bits, which is much smaller than the number of iterations in the greedy algorithm.

IV. SUBCHANNEL PERMUTATION

In this section, we consider subchannel permutation to further save transmission power. We not only allocate bits and power to subchannels, but also reallocate the subchannels used for transmission in the RD links. The optimization problem (10) becomes a combinatorial problem and is difficult to solve. Exhaustive search can obtain the optimal solution; however, the computational complexity is too high. Here, we first propose a simplified greedy algorithm, which is still complex, especially when the number of target bits is high. Next, we propose a suboptimal algorithm, which is more efficient but which gives close to optimum performance.

A. Greedy Algorithm

As discussed in Section III-A, greedy algorithms allocate bits on a bit-by-bit basis to the subchannel which has the minimum additional power required to transmit the additional bit. In each step, the increase in power for all possible allocation schemes is calculated. When we allocate the first bit, there are \( N^2K \) possible allocation schemes, where \( K \) is the number of relay nodes and \( N \) is the number of subchannels. First, consider the inverse of the channel power gain in (8), that is,

\[
\frac{1}{G_{sr_kd}(n,j)} = \frac{\Delta_k(n,j)}{G_{sr_k}(n)G_{r_kd}(j)} = \frac{\delta(n)}{G_{r_kd}(j)} + \frac{1}{G_{sr_k}(n)}
\]
where \( \delta(n) = (G_{sr_k}(n) - G_{sd}(n))/G_{sr_k}(n) \) is a coefficient of subchannel \( n \). We can see that for SR subchannel \( n \), the channel power gain of cooperative transmission achieves the maximum value if it is paired with the best subchannel in the RD links, i.e., the subchannel with highest channel power gain. So, in each step of the greedy algorithm, for each relay node, subchannels in the SR links only need to be paired with the best available subchannel in the RD links. When allocating the first bit, we only need to calculate the channel gains for \( NK \) permutation schemes and then compare these gains to find the scheme which has minimum power increase to transmit the additional bit. Obviously, this is much more efficient than exhaustive search. The performance of the greedy algorithm, of course, will serve as a bound for the performance of the suboptimal algorithms.

B. Suboptimal Algorithm

Although the simplified greedy algorithm is much simpler than exhaustive search, it is still quite complex when the number of target bits is large. Here, we propose an alternative algorithm which has suboptimal performance but is much more efficient. In this algorithm, we first reallocate subchannels in the SR links to subchannels in the RD links, and then we perform the bit loading algorithm proposed in Section III-B.

We know that cooperative transmission is preferred when \( G_{sd}(n) \) is smaller than \( G_{sr_k}(n) \) and \( G_{rd}(j) \). So \( \delta(n) \) of (24) is a value between zero and one when cooperative transmission is preferred. Then, \( 1/G_{sr_k}(n,j) \) can be roughly approximated by the sum of \( 1/G_{rd}(j) \) and \( 1/G_{sr_k}(n) \). It is easy to see that we should pair good subchannels in the SR links with good subchannels in the RD links. Also, bad SR subchannels should be paired with bad RD subchannels. After permutation, the equivalent channel power gains of cooperative transmission vary greatly from subchannel to subchannel. In this case, the frequency diversity can be easily exploited by bit loading. Based on this idea, we propose the following subchannel permutation algorithm:

- **Step 1:** For each relay \( k \), find the maximum subchannel power gains of the SR and RD links, respectively; denote them by \( G_{sr_k}(n) \) and \( G_{rd}(j) \). Calculate the equivalent cooperative channel power gain \( G_{sr_k}(n,j) \), as in (8).
- **Step 2:** Compare the equivalent cooperative channel power gain \( G_{sr_k}(n,j) \) of the \( K \) relay nodes. Determine the values of \( n \) and \( j \) which maximize \( G_{sr_k}(n,j) \). Pair those subchannels and denote them as \( \hat{n} \) and \( \hat{j} \).
- **Step 3:** Set the gains of the SR subchannel \( \hat{n} \) and the RD subchannel \( \hat{j} \) of all relay nodes to zero.
- **Step 4:** If all the subchannels are paired, the subchannel permutation operation is complete. Otherwise, go to Step 1.

In the subchannel permutation approach, the computational complexity mainly comes from finding the maximum channel gains of the SR links and the SD links. The number of iterations is equal to the number of subchannels, \( N \), which is much smaller than the number of iterations for the greedy algorithms. After reallocation subchannels, the bit-loading Lagrange algorithm in Section III-B is performed to allocate the power and bits. As discussed there, the Lagrange algorithm has low computational complexity. Thus, the computational complexity can be greatly reduced by performing subchannel permutation and bit loading separately.

V. SIMULATIONS RESULTS

In this section, we present simulation results to compare the performance of the different bit loading algorithms. Consider a single source-destination pair OFDM cooperative network with \( K \) relay nodes. We assume that the \( K \) relay nodes are located in the middle of the source-to-destination path. In each node, an OFDM transceiver with \( N = 64 \) subchannels is employed. We also assume that each relay node has the same distance to the source and the destination. We normalize the distance from the relay nodes to the source and to the destination to one; the path loss exponent is 4. Shadowing is not considered. We assume that the channels between the source and each relay and the channels between each relay and the destination are independent. The power delay profile is assumed to be exponential with a root-mean-square delay spread \( \tau_{rms} = \eta T \), where \( T \) is the time duration of one OFDM symbol (block), \( T = NT_s \) and \( 0 < \eta \leq 0.1 \).

In the simulation, we use a discrete-time model with an impulse response limited to 16 samples spaced by \( T_s \). This is sufficient to encompass all of the paths with significant energy.

We assume the target bit rate of the system is such that there are 128 bits per OFDM symbol. And \( b_0 \) can take values in the set \( B = \{0, 1, \ldots, 4\} \). So, without bit loading, each subchannel will transmit 2 bits per OFDM symbol; we call this Equal Bit Allocation (EBA) *.

In Fig. 2, we compare the average required transmission power for Greedy Bit Loading (GBL), Lagrange Bit Loading (LBL) and EBA. We do not consider subchannel permutation (SP) in this case, and we assume there

*Coding is not considered in this paper. It has been shown that coded bit-loading OFDM systems also greatly outperform coded OFDM systems in point-to-point networks [15]. For cooperative networks, distributed coding is an interesting problem to be explored in future work.
is only one relay node, i.e., \( K = 1 \). It can be seen that the required transmission power for GBL and LBL are almost the same, but LBL is much less complex. We also notice that the required transmission power for GBL and LBL decreases with an increase in the delay spread, \( \tau_{\text{rms}} \). This is because an increase in delay spread corresponds to more available frequency diversity, and hence more gains can be achieved. The performance of EBA is not good because coding is not employed; thus, the frequency diversity is not exploited for EBA as implemented here. Compared to EBA, a 3-dB power saving can be achieved by LBL.

In the following simulation, we assume \( \tau_{\text{rms}} = 0.1T \), which is a reasonable delay spread for practical systems. Fig. 3 presents the block error rate (BLER) versus SNR with different numbers of relay nodes. We adopt the efficient LBL in the simulation. From the results, we can see that the performance gains of LBL over EBA decrease with an increase in \( K \), the number of relay nodes. For \( \tau_{\text{rms}} = 0.1T \), the power saving of LBL decreases from 3-dB with one relay node to 1-dB with four relay nodes. The main reason is that, for each subchannel, we compare the subchannel gains of \( K \) relay nodes and select the best one. The more relay nodes, the less subchannel gain variation after selection, and the less frequency diversity to be exploited by bit loading.

In Fig. 4, we present the performance of the bit loading algorithms using subchannel permutation (SP) with \( K = 1, 2, \) and 4 relay nodes, respectively. As discussed in the previous section, the optimal BL with SP is too complex, especially with a large number of relay nodes. In Fig. 5, we compare the performance degradation using the suboptimal, but less complex, BL with SP. We can see that the performance gap increases with an increase in the number of relay nodes, \( K \). At an outage of \( 10^{-2} \), a 0.5-dB performance degradation is obtained using the suboptimal algorithm when \( K = 4 \); although, it is still 2.5-dB better than EBA. A good complexity and performance tradeoff can be achieved by using the suboptimal algorithm.

From these results, we can see that the proposed BL algorithm can significantly save transmission power, especially when the number of relays is small. A small number of relays on their own does not provide enough
space diversity. So that even simple BL without SP can provide significant gains, compared to EBA. With an increase in the number of relays, however, space diversity can provide good performance improvement; thus, only the BL with SP can provide significant performance gain, at the expense of complex computations.

The communications overhead of BL and EBA are similar. The instantaneous channel gains are required by both to make decisions, and these must be broadcast to nodes in the network. EBA only needs to select the good subchannels among relays. BL, however, also allocates bits to subchannels, which entails more complexity.

VI. CONCLUSIONS

In this paper, we investigated resource allocation for cooperative OFDM systems. Aiming at minimizing the total two-stage transmission power for a given transmission rate, we formulated the optimization problem and proposed several bit loading algorithms. First, without considering subchannel permutation, we showed that the optimization problem is similar to that for point-to-point OFDM systems. We proposed an efficient bit-loading algorithm and simulation results demonstrated that the proposed algorithm has similar performance to the optimal one. Using these algorithms, the total transmitting power can be reduced by 3-dB, compared to the EBA algorithm. The performance gain, however, decreases with an increase in the number of relay nodes.

To further improve the bit loading performance gain, we considered re-allocating subchannels in the RD links, called subchannel permutation. An optimal algorithm and an efficient suboptimal algorithm were proposed for this case. Simulation results show that the optimal algorithm with subchannel permutation can further improve the performance by at least 2-dB. Even with four relay nodes, the optimal algorithm with subchannel permutation still outperforms EBA by about 3-dB. An efficient suboptimal subchannel permutation algorithm was also proposed which can achieve a good performance-complexity tradeoff.

In this paper, we focused on bit loading algorithms with a central controller. Distributed algorithms are more attractive in a practical environment and are the focus of our current work.

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