MATHEMATICAL APPROACH ON SIZE, MAXIMUM WIND, RMW AND INFLOW ANGLE IN TROPICAL CYCLONE

1. First equation relating maximum wind in typhoons to the central pressure was developed by Takashi (1939). He used wind data from ships and island stations near or in Japan during late 1930’s. Since central pressure was not available, he estimated these by interpolation from a statistical horizontal pressure distribution model for typhoons. Without making mathematical analysis of constant of proportionality he used the following form of cyclostrophic equation

\[ V_{\text{max}} = K* (p_R - p_o)^{1/2} \]  

where \( V_{\text{max}} \) is the maximum surface wind speed (kt), \( p_R \) the environmental pressure (hPa), \( p_o \) the central pressure (hPa) and \( K* \) a constant. By observations over north-western Pacific he determined \( K* = 13.40 \) as better fit for higher latitudes. The empirical equation developed by Fletcher [published in 1955 though available earlier, Atkinson and Holliday (1977)] for the maximum wind, \( V_{\text{max}} \), was based on the regression analysis and which was,

\[ V_{\text{max}} = K* (p_R - p_o)^{1/2} \]  

Fletcher had put \( K* = 16 \) for all practical purposes. The Typhoon Postanalysis Board (Meknown et al., 1952) at Gaum derived an equation based on 230 typhoon penetrations during 1951 and 1952. Using Fletcher’s equation as starting point, they developed a family of curves for the best-fit reconnaissance data. Fletcher’s equation was modified such that,

\[ V_{\text{max}} = (20 - \theta/5) (1010 - p_o)^{1/2} \]  

where \( \theta \) is the latitude (deg.). All the subsequent researches towards the estimation of \( V_{\text{max}} \) value were largely concentrating on either the adjustment value of proportionality constant \( K* \) or the estimated central pressure; e.g.,

Fortner (1958) \[ V_{\text{max}} = (20 - \theta/5) (372-h_7/8.54)^{1/5} \]  

and Seay (1964) \[ V_{\text{max}} = (19 - \theta/5) (372-h_7/8.54)^{1/5} \]  

where \( h_7 = 700 \) hPa height value in meters.

Joint Typhoon Warning Centre (1965), JTWC, adopted Seay’s (1964) equation with slight modification for the height of 700 hPa term i.e.,

\[ V_{\text{max}} = (19 - \theta/5) (364 - h_7/8.54)^{1/5} \]  

But despite these adjustments they noted that winds derived from Eqn. (6) exceeded the maximum wind observed at land stations by 23.40 kt on the average. Hence, they had to apply graphical corrections, subsequently. In 1973, a new pressure-wind relationship developed by Fujita (1971) was adopted for operational use. Later Atkinson and Holliday (1977) found the nonlinear relation,

\[ V_{\text{max}} = 6.70(1010 - p_o)^{0.644} \]  

Though Eqn. (7) showed lower departure than Eqn. (6) but their scatter data of points about the regression line still remained quite large.

Eqns. (1) to (7) certainly indicated that at least the direct proportionality existed with the maximum surface wind and surface pressure drop \((p_R - p_o)\) raised to fractional exponent, of the order of 0.5. Another common feature in all the previous approaches had been that they were all either based on statistical approach of regression method or curve fitting by graphical techniques.

Adopting the similar technique Natarajan and Ramamurthy (1975) found that \( K* = 13.60 \); while studying hurricanes and typhoons in the Atlantic Ocean and East Pacific Ocean. Gupta and Sud (1974) and Mishra and Gupta (1976) claimed the best-fit relationship for \( K* \) was equal to 15 and 14.20 respectively on the basis of their study on the Indian Ocean. Gupta and Sud (1974) took \( p_R = 1008 \) taking the mean of observed lowest and highest values of \( p_R \) i.e., 1005 and 1011 hPa respectively. Without the constraints of gradient wind balance, Stephen & Franklin (1987) had attempted the least square fitting algorithm of Ooyama (1987) to simulate the hurricane wind field in Pacific. They found single level deviation of the range of 5-10 m/s \(^3\) near RMW. Studies by Hawkins and Rubsam (1968), Jorgensen (1984) and Willoughby (1988, 1990) noted that above the boundary layer, in azimuths mean sense, hurricane winds are in approximate gradient and thermal wind balance. But none of these past studies were based on mathematical analysis and largely they remained observation based, only.

In the present paper starting from the first principals, a mathematical reexamination of the value of \( K* \) from the gradient wind equation, has been made per-se, with the
finite difference approximation to the pressure gradient. Analysis will explain that why so much variation are coming in the value of $K^*$ for different workers and at different places of latitudes. It then leads to an important result from this analysis, in section 2, that $\gamma_{\text{max}} > \gamma_{p_{\text{max}}}$. In section 3 we derive Fletcher’s equation by gradient wind equation and point-out the limited application possibility of Hydromet pressure profile formula. In section 4 it is established that the $V_{\text{max}}$ is inversely proportional to the square root of the radius of the maximum dimension of the storm, when $\gamma_{p_{\text{max}}}$ pressure deficit \(i.e., (p_R - p_o)\) and density ($\rho$) are constants. In section 5, theoretical results of present work and observational evidence of other workers are presented in support of the fact of dominance.
of radial component in the ring of maximum wind. The meteorological reasons for abnormally strong inflow angle of the order of 60° to 70° have also been discussed by quoting the work of other authors.

2. Tangential velocity equation – (a) Ring of maximum wind from gradient wind equation.

We know from gradient wind equation,

\[ V = -\frac{fr}{2} + \sqrt{\frac{f^2 + \frac{r}{\rho}}{\frac{4}{k}}} \]  

(8)

Where \( V \) is the tangential velocity, \( f \) is the coriolis parameter, \( \rho \) the density, \( k \) is the pressure gradient (\( \partial p/\partial r \)).

Radius of maximum wind (RMW) can be obtained from Eqn. (8) by the condition \( \partial V/\partial r = 0 \),

\[ r_{\text{max}} = -\frac{k}{2f} \frac{\partial k}{\partial r} \pm \sqrt{\frac{k^2 f^2}{4} - \frac{\rho k}{\partial r}} \]

(9)

Eqn. 9 shows that \( r_{\text{max}} \) will be real only if \( \partial k/\partial r \) is less than zero. Fig. 1 shows the profiles of \( p \), \( k \) and \( \partial k/\partial r \) close to the center of storm. It is obvious that mathematical validity of the existence of \( r_{\text{max}} \) is inherent in the type of pressure profile which has point of inflexion i.e., \( \partial k/\partial r = 0 \) at a radial distance \( r = r_{\text{max}} \) (say) where pressure gradient is maximum. Further, the domain in which \( r_{\text{max}} \) may exist occurs outside the ring of radius \( r = r_{\text{max}} \); where \( \partial k/\partial r < 0 \). In side the ring of \( r = r_{\text{max}} \) where value of \( \partial k/\partial r > 0 \), \( r_{\text{max}} \) cannot exist. This is general case.

In particular it can be easily seen that if corioli term is neglected (cyclostrophic balance) then \( r_{\text{max}} = k/|\partial k/\partial r| \). On the other hand if centrifugal term is neglected (geostrophic balance), \( r_{\text{max}} \) must occur at the point of inflexion where \( \partial k/\partial r = 0 \). In general, therefore, \( r_{\text{max}} \) must lie between \( r_{\text{max}} \) (i.e., point of inflexion) and \( k/|\partial k/\partial r| \). The root provided by the negative sign in equation 9 has this property. Positive sign indicates that for \( \partial k/\partial r > pf^2 \), \( r_{\text{max}} > k/|\partial k/\partial r| \) which is out of the valid region for the existence of \( r_{\text{max}} \) and for \( \partial k/\partial r < pf^2 \); \( r_{\text{max}} < 0 \) which is absurd. Hence positive sign in equation 9 must be ignored. It may be noted that root provided by minus sign is continuous everywhere except possibly when \( \partial k/\partial r = pf^2 \). At this point numerator and denominator go to zero simultaneously, which is indeterminate form. But using

D-Hospital’s rule it can be shown that

\[ r_{\text{max}} = k/2 \left( \frac{\partial k}{\partial r} \right) \]

Thus the profile of \( p \) for varying \( r \) is well behaved and continuous near the center of the storm.

(b) Validation of Theoretical result \( r_{\text{max}} > r_{\text{pmax}} \)
through the work of previous researchers - Holland (1980) has compared the radius of the ring of maximum wind (RMW) \( r_{\text{max}} \) and the ring of maximum pressure gradient \( r_{\text{pmax}} \) on his simulated profiles.

\[ X = \frac{r_{\text{pmax}}}{r_{\text{max}}} = \left[ \frac{B}{1 + B} \right]^{1/B} \]

where \( B \) is a constant.

Then \( 1 \leq B \leq 3 \); when surface friction is ignored and \( 1 \leq B \leq 2.5 \); when surface friction is also accounted.

This implies that:

\[ 0.5 \leq X \leq 0.908 \]  (for non-friction case),

\[ 0.5 \leq X \leq 0.874 \]  (for friction case).

This validates the present theoretical finding of the paper that the quotient \( X = (r_{\text{pmax}}/r_{\text{max}}) \) is always less than one and is never equal to one. The result negates the validity of Schloemer’s (1954) relation, which puts the ratio equal to one. Same, therefore, needs adjustment in the engineering and storm surge modelling attempted by Myers (1954), Graham and Hudson (1960), Marinas and Woodwar (1968) and Das (1972). This could be a contributing factor to large errors in simulating the actual profiles based on Wang’s (1978) model, which was based on Schloemer’s (1954) relation. Note the large departure in the computed wind through Wang (1978) and Schlomer (1954) with the actually observed wind in Fig. 2, within shaded area.

(c) Sensitivity of Depperman model with \( r_{\text{max}} \).

Depperman (1947) proposed the modified Rankine Vortex. He could explain the profiles better in vicinity of RMW, since it was based on the empirically obtained relation \( VE = D \), (or \( V = D/R \)) where \( 0.4 < x < 0.6 \) (Hughes 1952; Riehl 1963; Gray and Shea 1972).

\( D \) is empirically determined by the observation of RMW. It has been noted by Holland (1980), though without giving any reason that modified rankine vortex model of Depperman (1947) is highly sensitive to the
small errors in estimating the RMW. The causes of this sensitivity of Depperman (1947) relation and the validity of the same will be examined in para 4, through para 3.

3. Pressure gradient approximation - In Eqn. (8) it may be noted that \( f^2 \approx O(10)^{-10} \) and \( \rho^{-1} \approx O(800) \) gm\(^{-1}\) cm\(^3\). \( r_{\text{max}} \) represents the radius of dimension of the eye, that is of the order of 10 to 25 kilometer and \( k \) is the radial rate of fall of pressure and is of the order of 20 to 40 hPa, between the \( r_{\text{max}} \) and the center of the storm. This is equivalent to 0.008 to 0.004 dynes/cm\(^2\). Hence we can simplify equation (8) after applying finite difference approximation as,

\[
V_{\text{max}} = \left[ \frac{r_{\text{max}}}{\rho} \right]^{\frac{1}{2}} \left[ \frac{p_R - p_o}{R} \right]^{\frac{1}{2}}
\]  

(10)

Where \( p_R \) = peripheral pressure or ambient pressure (theoretically at infinite radius, however, in practice the value of the first anti-cyclonically curved isobar may be used). It is normally ranging between 1005 to 1011 hPa over the Indian Seas [Srinivasan and Ramamurthy (1973)]

\( p_o = \) central pressure,

\( R = \) Radius of the periphery of the tropical storm.

Although Eqn. (10) is not very good approximation to \( k \) since most of the pressure drop occurs near the center but the equation can be fairly well used in developing regression equation for maximum wind speed from the practical point of view. Nevertheless the simplification applied in deriving Eqn. (10) from Eqn. (8) gives insight into the Fletcher’s equation which is based on the same approximation, \( i.e., \)

\[
V_{\text{max}} = \left[ \frac{r_{\text{max}}}{\rho R} \right]^{\frac{1}{2}} \left( p_R - p_o \right)^{\frac{1}{2}}
\]  

(11)

Questionable derivation of Eqn. (11) has been presented in NOAA technical report, Hallgren (1979) (henceforth referred as NT) where it equates the value of
TABLE 1

Actual observation of surface wind by the ship as shown in Fig. 3. Note the predominance of radial component over the tangential component close to the eye wall at 1100 UTC (column 5)

| S. No. | Time of observation (UTC) | Distance of the ship from cyclone centre (n.m. Approx.) | Wind direction (Deg. from north) | Speed (kt) | Inflow angle (Degree) | Radial wind (kt) | Tangential wind (kt) |
|--------|---------------------------|--------------------------------------------------------|---------------------------------|-----------|-----------------------|-----------------|---------------------|
| 1      | 0230                      | 92.4                                                   | 060                             | 020       | -10                   | -003.47         | 19.70               |
| 2      | 0330                      | 90.8                                                   | 045                             | 050       | 6                     | 5.23            | 49.73               |
| 3      | 0430                      | 70.2                                                   | 060                             | 070       | 8                     | -009.74         | 69.32               |
| 4      | 0530                      | 58.0                                                   | 050                             | 075       | 4.5                   | 6.10            | 74.71               |
| 5      | 0630                      | 49.8                                                   | 060                             | 085       | -1                    | -001.43         | 84.99               |
| 6      | 0730                      | 38.2                                                   | 060                             | 090       | 5                     | 7.84            | 89.66               |
| 7      | 0830                      | 28.8                                                   | 050                             | 095       | 27                    | 43.12           | 84.65               |
| 8      | 0845                      | 26.4                                                   | 030                             | 095       | 53                    | 75.87           | 57.17               |
| 9      | 0930                      | 22.4                                                   | 060                             | 095       | 52                    | 074.86          | 58.49               |
| 10     | 1030                      | 11.3                                                   | 060                             | 105       | 60                    | 90.93           | 52.50               |
| 11     | 1100                      | 09.0                                                   | 100                             | 110       | 80                    | 108.42          | 19.10               |
| 12     | 1130                      | 11.0                                                   | 120                             | 110       | 68                    | 101.99          | 41.21               |
| 13     | 1200                      | 14.4                                                   | 195                             | 105       | 67                    | 096.65          | 41.03               |
| 14     | 1230                      | 19.2                                                   | 190                             | 105       | 49                    | 079.24          | 68.89               |
| 15     | 1330                      | 30.2                                                   | 190                             | 095       | 35                    | 054.49          | 77.82               |
| 16     | 1430                      | 41.2                                                   | 195                             | 085       | 35                    | 048.75          | 69.63               |
| 17     | 1530                      | 53.0                                                   | 195                             | 085       | 31                    | 043.78          | 72.86               |
| 18     | 1630                      | 65.0                                                   | 195                             | 080       | 29                    | 038.78          | 69.97               |
| 19     | 1730                      | 76.8                                                   | 195                             | 080       | 27                    | 036.32          | 71.28               |
| 20     | 1830                      | 80.2                                                   | 195                             | 075       | 27                    | 034.05          | 66.83               |

\[ K^* = (pe)^{1/2} \] NT derivation is based on hydromet pressure profile formula.

\[ (p - p_o) = (p_R - p_o) R^{-R/r} \] \hspace{2cm} (12)

Where \( R \) is the outer radius of tropical storm. This equation gives pressure gradient as

\[ \frac{\partial p}{\partial r} = k = \frac{(p_R - p_o) R}{r^2} e^{-R/r} \] \hspace{2cm} (13)

Eqn. (13) will give the value of radius of ring of maximum pressure gradient as \( \frac{\partial k}{\partial r} = 0 \).

\[ \frac{\partial k}{\partial r} = (p_R - p_o) R \left[ \frac{Re^{-R/r}}{r^4} - \frac{2e^{-R/r}}{r^3} \right] = 0 \]

Or

\[ r_{p_{\text{max}}} = \frac{R}{2} \] \hspace{2cm} (14)

Had Eqn. (14) been true, ring of maximum wind has to be greater than half of the outer radius of tropical storm since \( r_{p_{\text{max}}} < r_{\text{max}} \) [as has been proved in section 2 (a) of this paper] then this would mean that a storm having outer radius of 300-400 km can never have radius of eye less than 150-200 km. This result is against the observed facts, since it is common observation that RMW of the cyclonic storm is normally an order less than the outer radius \( R \) i.e., \( r_{\text{max}}/R \leq O(0.1) \) (Approximately).

Obviously, therefore, hydromet pressure profile formula does not truly represent the cyclonic storm’s radial pressure drop; it can only approximate it.

Based on Eqn. (11) we can mathematically conceive all those parameters which may possibly cause the variation of \( K^* \). We will see it in next section.

4. Relation between \( V_{\text{max}} \) and \( R \) - Correlation of \( V_{\text{max}} \) with tropical storm dimensions, as per Eqn. (11) suggests following relations:

\[ V_{\text{max}} \alpha (r_{\text{max}})^{1/2} \] \hspace{2cm} (15)
Although it is common awareness among the tropical forecasters that estimation of accurate inflow angle from ship data is difficult (refer NT – page 260) but an approximate estimate of the same within permissible error of about ± 10° or so (due to observation from the moving ship), readers can refer Table 1 column 5. Observe that as the moving ship’s distance increases the inflow angle decreases and it becomes maximum when at 1100 UTC the distance from the ship and the center of the storm is least. This table is presented by the author only to highlight the phenomenal increase in the radial component (cyclostrophic flow) close to \( r_{\text{max}} \); which is our prime aim in this section. Thus cyclostrophic wind balance, is at times, certainly greatly disbalanced when \( r \approx r_{\text{max}} \). Hence, computation of absolute maximum wind just by value of \( K^* = (r_{\text{max}}/R_p)^{1/2} \) would be certainly an underestimate with the increased inflow angle. Usually inflow angle is of the order of 15° to 30° but it is strongly influenced by the structural asymmetry of the cyclone. The departure from the normal values could be quite large and at places inflow angle may reach 60° to 70° as in Table 1. Reasons of such a strong radial flow has been attributed to frictionally and diabatically induced convergence beneath the eyewall – Willoughby (1990). Which also, therefore, finally influences value of \( K^* \) in Fletcher’s equations. Hence the effect of sum of the balance vortex and asymmetric unbalanced motion, induced by diabatic and frictional effect, is inherent in the actual value of \( K^* \) in the computation of absolute maximum wind for operational purpose. Black & Holland (1995) attributed structural asymmetry of tropical cyclone to primarily three factors. Firstly general zonal distortion from cyclone rotation across a gradient of earth vorticity, secondly to environmental vertical shear, which produces forced ascent/subsidence in preferred sectors and thirdly to boundary layer modification due to tongue of cold water in storm regime which develops in preferred sectors presumably from stress induced mixing. Land fall process (Powell and Houston – 1996) may also cause RMW to tilt more outward as the wind decreases. Also, though, effect of \( \beta \)-gyres (DeMaria 1985) has not yet been documented in nature but it may effect asymmetry. Cumulative effect of all these causes would explain the strong variation in the observed value of inflow (i.e., 15° to 30° on an average) which is preferred sectors may reach even 60° to 70° at time.

6. Findings of the paper are summarizes as under - (i) Ring of maximum wind (\( r_{\text{max}} \)) is always larger than the ring of maximum pressure gradient. Hence Scholmer’s (1954) relation which is based on assumption that \( r_{\text{max}} = r_{\text{rms}} \) has inherent error. This could be one reason of large departure in wind computation near the RMW. Refer shaded area in Fig. 2.
(ii) Depperman’s relation can also be derived from gradient wind equation but the sensitivity of value of constant would not only depend on accurate measurement of $r_{max}$ as noticed by Holland but also on the accurate measurement of pressure deficit and air density, since proportionately constant ‘D’ in Depperman’s model is function of the term \[
\frac{\sqrt{\rho_R-\rho_0}}{\rho}^{1/5}.
\]

(iii) Fletcher’s equation is based on coarse finite difference approximation.

(iv) Hydro meteor pressure profile formula cannot truly represent the cyclonic storm radial pressure drop.

(v) The proportionality constant in Fletcher’s equation is based on eye dimension ($r_{max}$), storm size ($R$) and the air density ($\rho$) and different factors which induce asymmetry [refer ($f$) below]. This explains the reason of wide variation of its value given by different workers over different part of the world.

(vi) The radial component often dominates the wind close to the RMW. Its value, however, is strongly influenced in different sectors by (Black and Holland, 1995; Powell and Houston, 1996; DeMaria, 1985) the gradient in earth vorticity, vertical shear, cold water tongue which induces overlying boundary layer modification, landfall and $\beta$-gyres. The cumulative effect of this might contribute to abnormally large inflow angle in preferred sectors which could, at places reach to as much as 60° to 70° at times.

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**THE EFFECTS OF FOREST COVER ON CLIMATOLOGY OF NORTHERN MOUNTAINS REGION - A STATISTICAL APPROACH**

1. No surface on earth can be considered as flat, as it is a patch work of different slopes and materials. Each surface possesses its own combination of radiative, thermal, moisture and aerodynamic properties. Each surface therefore tends to regulate and partition the available energy and water in different manner. In an area of varied topography and orography, climatic responses are varied. Solar loading differences would arise because of differences of slope and aspect. Moisture availability would vary because of precipitation and drainage characteristics. The energy balance is likely to be modified by a new set of thermal, moisture and aerodynamic characteristics. One of the greatest challenges in modern atmospheric science is to understand the way in which these interactions take place.

There are many and varied climatic side effects due to human activities. They are the result of interference in the operation of natural systems. Tampering with natural energy and water cycles often results in rather complex ramifications. It is important that our knowledge of inter-relationships increases so that we may develop models which accurately mimic the operation of natural systems. Only then will it be possible to predict the climatic effects of pursuing alternative land use management strategies and hence avoid understandable inadvertent modification. The effects of forest clearance, irrigation and flooding are some of the more obvious examples of activities leading