High-precision photometry by telescope defocussing. I.
The transiting planetary system WASP-5

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ABSTRACT
We present high-precision photometry of two transit events of the extrasolar planetary system WASP-5, obtained with the Danish 1.54 m telescope at ESO La Silla. In order to minimise both random and flat-fielding errors, we defocussed the telescope so its point spread function approximated an annulus of diameter 40 pixels (16′′). Data reduction was undertaken using standard aperture photometry plus an algorithm for optimally combining the ensemble of comparison stars. The resulting light curves have point-to-point scatters of 0.50 mmag for the first transit and 0.59 mmag for the second. We construct detailed signal to noise calculations for defocussed photometry, and apply them to our observations. We model the light curves with the jktebop code and combine the results with tabulated predictions from theoretical stellar evolutionary models to derive the physical properties of the WASP-5 system. We find that the planet has a mass of $M_b = 1.637 \pm 0.075 \pm 0.033 M_{\text{Jup}}$, a radius of $R_b = 1.171 \pm 0.056 \pm 0.012 R_{\text{Jup}}$, a large surface gravity of $g_b = 29.6 \pm 2.8 \text{ m s}^{-2}$ and a density of $\rho_b = 1.02 \pm 0.14 \pm 0.01 \rho_{\text{Jup}}$ (statistical and systematic uncertainties). The planet’s high equilibrium temperature of $T_{\text{eq}} = 1732 \pm 80 \text{ K}$, makes it a good candidate for detecting secondary eclipses.

Key words: stars: planetary systems — stars: individual: WASP-5 — stars: binaries: eclipsing — methods: data analysis — methods: observational — techniques: photometric

1 INTRODUCTION
The discovery of the first extrasolar planet [Mayor & Queloz 1995] opened a new field of astronomical research. We now
know of over 300 extrasolar planets\footnote{See \url{http://exoplanet.eu/} for a list of known extrasolar planets.}, which encourages statistical studies of these objects (e.g. Udry & Santos 2007). However, most of these discoveries have been made via measurements of the radial velocities of their parent stars, which yield relatively little information about individual planets (only the orbital parameters and lower limits on the planet’s mass).

The discovery of transiting extrasolar planets (hereafter TEPs) in the year 1999 \cite{Charbonneau2000, Henry2000} has provided a new window on the properties of extrasolar gas-giant planets, making it possible to derive the physical properties of planets and their parent stars (with a little help from stellar theory). These analyses require high-precision photometry of planetary transits in order to measure the radii of the components and the inclination of their orbital plane with respect to Earth.

Good light curves have been obtained for a substantial number of the roughly fifty known TEPs, but the process remains fraught with difficulties. Ground-based studies are subject to complications arising due to scintillation, atmospheric effects which change throughout transit observations, telescope tracking errors, and problems with saturation and flat-fielding of the ubiquitous charge-coupled device (CCD) detectors. Space-based facilities, however, can be subject to major cost and calibration issues.

We have therefore decided to experiment with heavy defocussing of ground-based telescopes in order to nullify as many as possible of the above effects. The idea is to choose relatively long integration times (several minutes) and disperse the resulting large numbers of photons over many CCD pixels. This has the huge advantage that flat-fielding errors can be averaged down by orders of magnitude compared to focussed observations, and also means that normal changes in atmospheric seeing are irrelevant. Nonlinear pixel responses should be corrected by calibrating the response of the CCD or avoided by sticking to count levels where such effects are low. The longer integration times and large point spread functions (PSFs) mean that the sky background level is much higher than for standard approaches, but signal-to-noise calculations (Section 6) show that this is unimportant in many cases.

In this work we present high-precision photometry of WASP-5, a $V = 12.3$ star which was discovered to harbour a TEP by \cite{Anderson2008}. We used the Danish 1.54 m telescope at ESO La Silla, Chile, as part of the 2008 MINDSTEp campaign\footnote{Information on the MINDSTEp (Microlensing Network for the Detection of Small Terrestrial Exoplanets) campaign can be found at \url{www.mindstep-science.org/}} and the DFOSC imaging camera. It was suspected that DFOSC would not be suited to these observations, as focal-reducing instruments can suffer internal reflections, but this does not appear to be a problem. We observed two transit events and achieved observational scatters of only 0.50 mmag and 0.59 mmag per point in the final light curves. In the following sections we discuss our observations and data reduction procedures, and then analyse the data using the methods detailed by \cite{Southworth2002}. Our results are fully homogeneous with those of the fourteen TEPs analysed in these papers, and represent the highest-precision measurements of the physical properties of the star and planet in the WASP-5 system.

Whilst it is unusual to break the 1 mmag barrier in astronomical differential photometry, our observations do not set any records. \cite{Gilliland1994} obtained observational scatters of 0.25 mmag per minute in time-series observations of stars in the open cluster M67. These authors used a set of 4m-class telescopes, allowing them to achieve a lower Poisson and scintillation noise than ourselves, and CCD imagers with much finer pixel scale, which meant much less defocussing and so a lower sky background.

A number of researchers have used some telescope defocussing to improve the photometric accuracy of light curves of TEPs, in many cases broadening the PSFs by only a few pixels. A partial list includes studies of GJ 436 \cite{Gillon2007, Demory2007, Alonso2008}, HD 17156 \cite{Gillon2008a}, HD 189733 \cite{Winn2007a, HAT-P-1}, \cite{Winn2007b}, Hubble Space Telescope observations of HD 189733 \cite{Swain2008}, and the NASA EXOPI mission \cite{Christiansen2008}. The discovery paper of WASP-5 \cite{Anderson2008} presented a light curve from a 1.2 m telescope which achieved a scatter of about 1 mmag using this technique. Substantial defocussing was also used by \cite{Gillon2008b} in the course of obtaining a light curve of WASP-5 using the VLT, but the resulting data suffer systematic effects which were not removable. These were attributed to deformation of the primary mirror, as the active optics had to be turned off to permit defocussing. Finally, PSF broadening has been performed both by moving the telescope during individual exposures \cite{Bakos2004} and by shuffling charge at will round an orthogonal-transfer CCD device \cite{Tonry2005, Johnson2008}.

## 2 OBSERVATIONS

We observed two transits of WASP-5 using the 1.54 m Danish Telescope at ESO La Silla and the DFOSC focal-reducing imager. This setup yielded a full field of view of 13.7′×13.7′ and a plate scale of 0.30″ pixel$^{-1}$. For the second set of observations the CCD was windowed down to approximately 2000×800 pixels to decrease the readout time from 91 s to 39 s. All observations were done through the Cousins $R$ filter, which allowed a higher count rate than Johnson $V$ for red stars but did not suffer the fringing effects visible with DFOSC and the Cousins $I$ filter. An observing log is given in Table 1. The observing conditions and sky transparency were good throughout both nights.

The exposure time was set at 120 s, to allow a large amount of light to be collected in each observation whilst avoiding undersampling the light variations through transit (see Section 6 for detailed signal to noise calculations). We then adjusted the amount of defocussing until the peak counts per pixel from WASP-5 were roughly 25 000 above the sky background. This resulted in a doughnut-shaped light curves.
Our data reduction pipeline is written in the IDL programming language and uses the DAOPHOT photometry package (Stetson 1987) (distributed as part of the ASTROLIB library) to perform aperture photometry. The telescope was autoguided throughout our observations so it was possible to fix the positions of the circular apertures for each dataset. We experimented with different aperture radii, finding that this had a small effect on the scatter in the photometry but no detectable effect on the shape of the resulting transits. We chose the apertures which yielded the most precise photometry, with radii of 28 pixels for the PSF and 38 and 60 pixels for the inner and outer edges of the sky regions, respectively. Thus a PSF aperture covered 2463 pixels and a sky region covered 6773 pixels.

We used these aperture sizes and the ASTROLIB/APER routine to obtain aperture photometry of all stars in our images with sufficient counts to be useful. The number of comparison stars was either eight or nine for these observations. The differential-magnitude light curves of all these stars were checked for short-timescale variability, and none was found. Most of the comparison star light curves have slow variations in their apparent brightness, attributable to atmospheric effects, so variability on timescales greater than about 5 hr would not be detectable.

To remove these slow variations in the differential-magnitude light curves we implemented an algorithm to optimise the selection of comparison stars. We defined time intervals outside transit and used the IDL/AMOEBA routine to minimise the square of the magnitude values within these intervals, resulting in light curves which were normalised to zero differential magnitude. The parameters of the minimisation were $N$ coefficients of a polynomial versus time, and weights of each comparison star relative to the first comparison star. All good comparison stars were combined into one ensemble by weighted flux summation. For each dataset we used $N = 2$, which removes overall variations without deforming the shape of the transit. We found that it was necessary to have $N > 1$ because we have too few comparison stars to create an ensemble with a low Poisson noise and the same photometric colour as the target star. We found that the best-fitting comparison star weights were usually close to unity, as expected for observations dominated by Poisson noise.

Finally, we experimented with the inclusion of bias and flat-field corrections to the science images. Master bias and flat field images were created by median-combining sets of bias images and dome flats. We found that subtraction of a master bias image had a negligible effect on the photometry, as the bias level of the DFOSC CCD is well-behaved and exhibits minimal changes which are simply subsumed into the estimation of the sky background. Including a flat-fielding correction, however, gives a small but noticeable decrease in the scatter of the resulting light curves. The flat-fielding is relatively unimportant in this case because the stellar PSFs were kept on the same pixels by autoguiding the telescope. We have applied bias and flat-field corrections to generate our final light curves, which are shown in Fig.2 and reproduced in Table 2.

### Table 1. Log of the observations presented in this work.

| Date     | Start time (UT) | End time (UT) | Number of observations | Exposure time (s) | Airmass |
|----------|----------------|--------------|------------------------|------------------|---------|
| 2008 08 29 | 05:37          | 10:08        | 74                     | 120.0            | 1.03–1.54 |
| 2008 09 21 | 01:06          | 05:32        | 101                    | 120.0            | 1.03–1.40 |

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**Figure 1.** Surface plot of the PSF of WASP-5 in an image taken at random from the observing sequence on the night of 2008 August 29th. The $x$ and $y$ axes are in pixels. The lowest and highest counts are 623 and 28429 ADUs, respectively, and the $z$ axis is on a linear scale.

PSF with a diameter of about 40 pixels ($16''$) and containing roughly $10^7$ counts from WASP-5. Once the amount of defocussing was settled on, it was not changed until the end of the observing sequence. An example PSF of WASP-5 is shown in Fig.1.

A few images were also taken with the telescope properly focussed, and were used to verify that there were no faint stars within the PSF of WASP-5 which might dilute the transit depth. We found that the closest detectable star to WASP-5 is at a distance of $44''$ (113 pixels), so the edge of its PSF is separated from that of WASP-5 by over 70 pixels in our defocussed images. The closest stars of similar magnitude to W ASP-5 lie over 4′ pixels in our defocussed images. The closest comparison star was found. Most of the comparison star light curves have slow variations in their apparent brightness, attributable to atmospheric effects, so variability on timescales greater than about 5 hr would not be detectable.

### 3 DATA REDUCTION

Our data reduction pipeline is written in the IDL programming language and uses the DAOPHOT photometry package (Stetson 1987) (distributed as part of the ASTROLIB library) to perform aperture photometry. The telescope was autoguided throughout our observations so it was possible to fix the positions of the circular apertures for each dataset. We experimented with different aperture radii, finding that this had a small effect on the scatter in the photometry but no detectable effect on the shape of the resulting transits. We chose the apertures which yielded the most precise photometry, with radii of 28 pixels for the PSF and 38 and 60 pixels for the inner and outer edges of the sky regions, respectively. Thus a PSF aperture covered 2463 pixels and a sky region covered 6773 pixels.

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Finally, we experimented with the inclusion of bias and flat-field corrections to the science images. Master bias and flat field images were created by median-combining sets of bias images and dome flats. We found that subtraction of a master bias image had a negligible effect on the photometry, as the bias level of the DFOSC CCD is well-behaved and exhibits minimal changes which are simply subsumed into the estimation of the sky background. Including a flat-fielding correction, however, gives a small but noticeable decrease in the scatter of the resulting light curves. The flat-fielding is relatively unimportant in this case because the stellar PSFs were kept on the same pixels by autoguiding the telescope. We have applied bias and flat-field corrections to generate our final light curves, which are shown in Fig.2 and reproduced in Table 2.
The fractional radii of the star and planet, which are directly dependent on the shape of the light curve and are defined to be $r_A = \frac{R_A}{a}$ and $r_b = \frac{R_b}{a}$ where $R_A$ and $R_b$ are the absolute radii of the components and $a$ is the orbital semimajor axis. The fractional radii are actually parameterised as $r_A + r_b$ and $k = \frac{r_A}{r_b}$ in *jktebop*, as these are only weakly correlated with each other (Southworth 2008). The other 'shape' parameters are the orbital inclination, $i$, and the limb darkening coefficients of the star, $u_A$ and $u_B$ (see below). The mass ratio of the system is also a parameter as it affects the shapes of the components. We adopted a value of 0.00155, and verified that large changes in this number had a negligible effect on our results.

The main analysis of our photometry was undertaken before any transit timings were available in the literature. We therefore allowed the midpoints of the two eclipses to float freely, including by the orbital period and eclipse midpoint as fitted parameters, to guard against possible period. We have also modelled the two light curves individually to measure two times of minimum light: 2454707.82388 ± 0.00029 and 2454730.62115 ± 0.00032 (HJD). During this process we found that the error bars in our data (which come from the IDL/APER routine) are slightly conservative and result in reduced $\chi^2$ values of $\chi^2_{ed} = 0.95$ and 0.75 for the two datasets. We therefore multiplied the error bars by $\sqrt{\chi^2_{ed}}$ before combining the data from the two nights into one light curve (see e.g. Bruntt et al. 2008).

Our two times of minimum light have been augmented with the four transit times given by Gillon et al. (2008b) and used to determine a linear ephemeris. Gillon et al. found that a straight line was not a good representation of the data ($\chi^2_{ed} = 5.7$). With our additional data we can associate this discrepancy with the transit time from their FTS light curve, which is earlier by 3σ that predicted by our linear ephemeris. Further data are needed to decide whether the cause is astrophysical or observational. Using all times of minimum light, we find $T_0 = \text{HJD}2454735.62494(24) + 1.6284246(13) \times E$

where quantities in parentheses denote the uncertainty in the final digit of the preceding number.

In Southworth (2008) it was found that the treatment of the stellar limb darkening (LD) requires careful thought. LD is included in *jktebop* as a choice of several parametric ‘laws’ for which coefficients must be specified. The linear law is inadequate for high-precision observations, whereas more sophisticated nonlinear laws suffer from strong correlations between their coefficients (Southworth et al. 2007). Furthermore, theoretically calculated LD coefficients depend on stellar model atmospheres and do not match the highest-quality observations. The solution is to adopt nonlinear laws but to fix one of the coefficients at a reasonable value. An alternative would be to re-parameterise the two-coefficient laws so the coefficients have weaker correlations, but this has little effect on the other parameters of the fit.

We have incorporated LD using the linear, quadratic, square-root, logarithmic or cubic laws. We present one set of solutions where both the linear ($u_A$) and nonlinear ($u_B$) LD coefficients are fixed to theoretical values (Table 3). We also give a set of solutions where $u_A$ is a fitted parameter and $u_B$ is fixed to theoretical values (Table 4). In the second case, $u_A$ is perturbed by ±0.1 on a flat distribution during the error analysis. The theoretical LD coefficients are taken to be the use of *jktebop* and the source code is available at [http://www.astro.keele.ac.uk/~jkt](http://www.astro.keele.ac.uk/~jkt).

### Table 2

Table 2. Excerpts of the light curve of WASP-5. The full dataset will be made available in the electronic version of this paper and at the CDS.

| HJD         | Differential magnitude | Uncertainty |
|-------------|-------------------------|-------------|
| 2454707.739980 | -0.000722               | 0.000512    |
| 2454707.742836 | -0.000580               | 0.000513    |
| 2454707.746034 | 0.000004                | 0.000512    |
| 2454707.748360 | 0.000616                | 0.000513    |
| 2454707.750814 | 0.000870                | 0.000513    |
| 2454730.554371 | -0.000038               | 0.000630    |
| 2454730.556153 | 0.000084                | 0.000629    |
| 2454730.557982 | -0.000347               | 0.000628    |
| 2454730.559811 | -0.000330               | 0.000627    |
| 2454730.561651 | -0.000274               | 0.000625    |

The transit light curves of WASP-5 were modelled using the *jktebop* code (Southworth et al. 2004a, b), which is based on the EBOp program originally developed for eclipsing binary star systems (Popper & Etzel 1981; Etzel 1981; Nelson & Davis 1972). The parameters of the fit include the fractional radii of the star and planet, which are directly dependent on the shape of the light curve and are defined to be $r_A = \frac{R_A}{a}$ and $r_b = \frac{R_b}{a}$ where $R_A$ and $R_b$ are the absolute radii of the components and $a$ is the orbital semimajor axis.
Table 3. Parameters of the \texttt{jktebop} best fits of the light curve of WASP-5 for different LD laws with the coefficients fixed at theoretically predicted values. For each part of the table the upper quantities are fitted parameters and the lower quantities are derived parameters.

Results were not calculated using the cubic LD law because theoretical LD coefficients are not available.

| Linear LD law | Quadratic LD law | Square-root LD law | Logarithmic LD law |
|---------------|------------------|--------------------|-------------------|
| $r_A + r_B$   | 0.2036 ± 0.0056  | 0.2009 ± 0.0057    | 0.2085 ± 0.0050   |
| $i$ (deg.)    | 86.17 ± 0.84     | 86.66 ± 0.96       | 85.37 ± 0.60      | 86.37 ± 0.90     |
| $u_A$         | 0.60 fixed       | 0.40 fixed         | 0.20 fixed        |
| $v_A$         | 0.30 fixed       | 0.50 fixed         | 0.20 fixed        |
| $r_A$         | 0.1834 ± 0.0048  | 0.1811 ± 0.0051    | 0.1875 ± 0.0044   |
| $r_B$         | 0.02022 ± 0.00071| 0.01984 ± 0.00070  | 0.02098 ± 0.00061 |
| $\sigma$ (magn) | 0.5696          | 0.5593             | 0.5586            |

Table 4. Parameters of the \texttt{jktebop} best fits of the light curve of WASP-5 for different LD laws with the linear coefficients included as fitted parameters and the nonlinear coefficients fixed at theoretically predicted values which are perturbed in the Monte Carlo error analysis. For each part of the table the upper quantities are fitted parameters and the lower quantities are derived parameters.

| Linear LD law | Quadratic LD law | Square-root LD law | Logarithmic LD law | Cubic LD law |
|---------------|------------------|--------------------|-------------------|--------------|
| $r_A + r_B$   | 0.2097 ± 0.0052  | 0.2034 ± 0.0062    | 0.2058 ± 0.0053   | 0.2054 ± 0.0056 |
| $k$           | 0.1125 ± 0.0009  | 0.1102 ± 0.0013    | 0.1112 ± 0.0011   | 0.1110 ± 0.0011 |
| $i$ (deg.)    | 85.16 ± 0.64     | 86.22 ± 1.02       | 85.77 ± 0.75      | 85.83 ± 0.77   |
| $u_A$         | 0.508 ± 0.031    | 0.378 ± 0.048      | 0.227 ± 0.049     | 0.659 ± 0.058  |
| $v_A$         | 0.30 perturbed   | 0.50 perturbed     | 0.20 perturbed    |
| $r_A$         | 0.1885 ± 0.0046  | 0.1832 ± 0.0055    | 0.1852 ± 0.0047   |
| $r_B$         | 0.02119 ± 0.00067| 0.02019 ± 0.00083  | 0.02058 ± 0.00070 |
| $\sigma$ (magn) | 0.5576          | 0.5579             | 0.5578            |

Figure 3. Phased light curve of the two transits of WASP-5 compared to the best fit found using \texttt{jktebop} and the quadratic LD law with both LD coefficients included as fitted parameters. The residuals of the fit are plotted at the bottom of the figure, offset from zero.

Table 5. Parameters of the \texttt{best fits} of the light curve of WASP-5 for different LD laws with the linear coefficients included as fitted parameters and the nonlinear coefficients fixed at theoretically predicted values which are perturbed in the Monte Carlo error analysis. For each part of the table the upper quantities are fitted parameters and the lower quantities are derived parameters.

| Linear LD law | Quadratic LD law | Square-root LD law | Logarithmic LD law |
|---------------|------------------|--------------------|-------------------|
| $r_A + r_B$   | 0.2036 ± 0.0056  | 0.2009 ± 0.0057    | 0.2085 ± 0.0050   |
| $i$ (deg.)    | 86.17 ± 0.84     | 86.66 ± 0.96       | 85.37 ± 0.60      |
| $u_A$         | 0.60 fixed       | 0.40 fixed         | 0.20 fixed        |
| $v_A$         | 0.30 fixed       | 0.50 fixed         | 0.20 fixed        |
| $r_A$         | 0.1834 ± 0.0048  | 0.1811 ± 0.0051    |
| $r_B$         | 0.02022 ± 0.00071| 0.01984 ± 0.00070  |
| $\sigma$ (magn) | 0.5696          | 0.5593             |

From Tables 3 and 4 it can be seen that the solutions with LD coefficients fixed at theoretical values have slightly larger residuals than those where the linear LD coefficient is a parameter of the fit. We have therefore used the latter solutions for our final results, combined following the methods of \cite{Southworth2008} and incorporating the systematic uncertainties found with the residual-bead method. The final values of the photometric parameters are given in Table 5. They are in agreement with and more precise than the values found in the two previous studies of WASP-5, \cite{Anderson2008} and \cite{Gillon2008}, which used the same photometric data. Including the stellar velocity amplitude given by \cite{Anderson2008}, we measure the surface gravity of the planet to be $g_b = 29.6 ± 2.8 \text{ m s}^{-2}$ (see \cite{Southworth2007}).
Table 5. Final parameters of the fit to the light curve of WASP-5, based on the individual solutions given in Table 4. The orbital ephemeris was determined separately (Section 4). The results of Anderson et al. (2008) and Gillon et al. (2008b), which are based on the same photometric data, are included for comparison, and are without error bars if they were not directly quoted quantities. $T_\text{0}$ is the reference time of mid-transit.

| Output parameter | This work | Anderson et al. (2008) | Gillon et al. (2008b) |
|------------------|-----------|------------------------|----------------------|
| Orbital period (d) | 1.6284246 ± 0.0000013 | 1.6284296 ± 0.0000048 | 1.6284279 ± 0.0000022 |
| $T_\text{0}$ (HJD) | 2454375.62494 ± 0.00024 | 2454375.62466 ± 0.00026 | 2454373.99598 ± 0.00025 |
| $r_A + r_b$ | 0.2052 ± 0.0068 | 0.197 | 0.198 |
| $k$ | 0.1110 ± 0.0014 | 0.1099 ± 0.0000 | 0.1086 ± 0.0013 |
| $i$ (°) | 85.8 ± 1.1 | 85.0 to 90.0 | 86.9 ± 2.8 |
| $r_A$ | 0.1847 ± 0.0061 | 0.178 | 0.179 |
| $r_b$ | 0.0205 ± 0.00091 | 0.0194 | 0.0194 |

5 PHYSICAL PROPERTIES OF WASP-5

The photometric parameters determined above have been used to infer the physical properties of the WASP-5 system using the method outlined in Southworth (2009). It is not possible to calculate the properties directly from observations, as one piece of information is missing and must be filled in by additional constraints. This approach requires as input the measured values of $r_A$, $r_b$, $i$, orbital period, and the stellar effective temperature, metallicity, and velocity amplitude. For the latter three quantities we require as input the measured values of $T_\text{eff}$, $\log g_A$, and $\nu_A$. This approach represents the orbital period, and the stellar effective temperature, metallicity, and velocity amplitude. For the latter three quantities we adopted $T_\text{eff} = 5700 ± 100$ K and $\log g_A = 0.95 ± 0.09$ dex from [Gillon et al. 2008] and $\nu_A = 278 ± 8$ km s$^{-1}$ from [Anderson et al. 2008]. We then interpolated within the tabulated predictions of several sets of theoretical stellar models to provide the optimum fit to the input quantities. The stellar models used were Claret (Claret 2004, 2005, 2006, 2007), Y$^2$ (Demarque et al. 2004) and Padova (Girardi et al. 2000). The uncertainties in the input parameters were propagated into the output physical properties using a perturbation analysis (Southworth 2003; Southworth et al. 2005a), which allows a detailed error budget to be obtained for each output quantity.

The use of theoretical stellar model predictions means that the calculated physical properties of the WASP-5 system are subject to systematic errors caused by any deviations of the models from reality. Unfortunately, stellar models are persistently unable to match the directly measured physical properties of low-mass eclipsing binary star systems, although this effect is likely due to magnetic activity (Hoxie 1973; Clausen 1998; Torres & Ribas 2002; Ribas et al. 2008). A lower limit can be set on the systematic errors by considering the variation in results from different sets of stellar models. This is only a lower limit because independent models have some physical ingredients in common, for example opacity tables. A probable upper limit can be set by avoiding stellar models and instead constraining the properties using an empirical main-sequence mass–radius relation for the star (Southworth 2003). Table 6 contains the physical properties of WASP-5 calculated using the three different sets of stellar models and with the mass–radius relation.

The properties calculated using stellar models are in good agreement with each other, whereas those determined using the mass–radius relation are offset to larger values. The difference is most significant for the orbital semimajor axis ($a$) and the stellar mass ($M_A$) as these quantities are quite affected by systematics but almost unaffected by observational uncertainties. The error budget for the output parameters is given in Table 7 and shows that more precise stellar $T_\text{eff}$ and $\log g_A$ measurements would be useful, as well as further high-precision photometry.

Table 7. Detailed error budget for the calculation of the physical properties of the WASP-5 system from the light curve parameters, stellar velocity amplitude, and the predictions of the Claret stellar models. Each number in the table is the fractional contribution to the final uncertainty of an output parameter from the error bar of an input parameter. The final uncertainty for each output parameter (not given) is the quadrature sum of the individual contributions from each input parameter. $P$ represents the orbital period.

| Output parameter | $P$ | $K_A$ | $i$ | $r_A$ | $r_b$ | $T_\text{eff}$ | $[M/\text{M}_\odot]$ |
|------------------|-----|-------|-----|-------|------|-------------|------------------|
| $A_g$ | 0.341 | 0.753 | 0.556 |
| $a$ | 0.001 | 0.075 | 0.760 | 0.644 |
| $M_A$ | 0.075 | 0.760 | 0.645 |
| $R_A$ | 0.871 | 0.374 | 0.317 |
| $\log g_A$ | 0.967 | 0.195 | 0.166 |
| $\rho_A$ | 1.000 | |
| $M_b$ | 0.627 | 0.031 | 0.059 | 0.592 | 0.502 |
| $R_b$ | 0.028 | 0.927 | 0.284 | 0.241 |
| $g_b$ | 0.307 | 0.015 | 0.951 |
| $\rho_b$ | 0.208 | 0.010 | 0.969 | 0.099 | 0.083 |
Table 6. Physical properties for WASP-5, derived using either an empirical stellar mass–radius relation or the predictions of different sets of stellar evolutionary models. The stellar mass, radius, surface gravity and density are denoted by $M_A$, $R_A$, $\log g_A$ and $\rho_A$, respectively.

|          | Mass–radius | Padova models | Y2 models | Claret models |
|----------|-------------|---------------|-----------|---------------|
| $a$ (AU) | 0.02777 ± 0.00078 | 0.02702 ± 0.00046 | 0.02728 ± 0.00043 | 0.02729 ± 0.00049 |
| $M_A$ (M$_\odot$) | 1.076 ± 0.091 | 0.991 ± 0.051 | 1.020 ± 0.048 | 1.021 ± 0.055 |
| $R_A$ (R$_\odot$) | 1.103 ± 0.060 | 1.073 ± 0.039 | 1.083 ± 0.040 | 1.084 ± 0.039 |
| $\log g_A$ (cgs) | 4.385 ± 0.024 | 4.373 ± 0.030 | 4.377 ± 0.029 | 4.377 ± 0.030 |
| $\rho_A$ ($\rho_\odot$) | 0.803 ± 0.080 | 0.803 ± 0.080 | 0.803 ± 0.080 | 0.803 ± 0.080 |
| $M_b$ (M$_Jup$) | 1.70 ± 0.11 | 1.604 ± 0.073 | 1.635 ± 0.070 | 1.637 ± 0.075 |
| $R_b$ (R$_Jup$) | 1.191 ± 0.063 | 1.159 ± 0.055 | 1.170 ± 0.055 | 1.171 ± 0.056 |
| $g_b$ (m s$^{-2}$) | 29.6 ± 2.7 | 29.6 ± 2.8 | 29.6 ± 2.8 | 29.6 ± 2.8 |
| $\rho_b$ ($\rho_Jup$) | 1.00 ± 0.14 | 1.03 ± 0.14 | 1.02 ± 0.14 | 1.02 ± 0.14 |
| Age (Gyr) | 6.6$_{-1.9}^{+3.3}$ | 5.9$_{-1.9}^{+2.2}$ | 6.8$_{-3.0}^{+2.5}$ |

Table 8. Final physical properties for WASP-5. The first error bars are statistical and the second are systematic. The corresponding results from Anderson et al. (2008) and Gillon et al. (2008b) have been included for comparison.

| Final result (this work) | Anderson et al. (2008) | Gillon et al. (2008b) |
|--------------------------|------------------------|-----------------------|
| $a$ (AU) | 0.02729 ± 0.00049 ± 0.00027 | 0.02683$^{+0.00088}_{-0.00075}$ | 0.0267$^{+0.0012}_{-0.0008}$ |
| $M_A$ (M$_\odot$) | 1.021 ± 0.055 ± 0.030 | 0.972$^{+0.099}_{-0.079}$ | 0.96$^{+0.13}_{-0.09}$ |
| $R_A$ (R$_\odot$) | 1.084 ± 0.040 ± 0.011 | 1.026$^{+0.044}_{-0.039}$ | 1.029$^{+0.056}_{-0.049}$ |
| $\log g_A$ (cgs) | 4.377 ± 0.030 ± 0.004 | 4.403$^{+0.048}_{-0.048}$ | 4.395$^{+0.044}_{-0.040}$ |
| $\rho_A$ ($\rho_\odot$) | 0.803 ± 0.080 ± 0.000 | 0.90 | 0.88 ± 0.12 |
| $M_b$ (M$_Jup$) | 1.637 ± 0.075 ± 0.033 | 1.58$^{+0.13}_{-0.08}$ | 1.58$^{+0.10}_{-0.08}$ |
| $R_b$ (R$_Jup$) | 1.171 ± 0.056 ± 0.012 | 1.090$^{+0.058}_{-0.094}$ | 1.087$^{+0.071}_{-0.068}$ |
| $g_b$ (m s$^{-2}$) | 29.6 ± 2.8 | 30.5$^{+3.2}_{-1.1}$ | 30.5$^{+4.0}_{-2.9}$ |
| $\rho_b$ ($\rho_Jup$) | 1.02 ± 0.14 ± 0.01 | 1.22$^{+0.24}_{-0.19}$ | 1.23$^{+0.16}_{-0.19}$ |

6 WHAT IS THE OPTIMAL EXPOSURE TIME?

Having presented and interpreted our observations, we now present detailed signal to noise (S/N) calculations which can be used to plan similar projects. The output quantities in-clude the amount of defocussing required, and the total noise to signal ratio in millimagnitudes. The tractability of these calculations demands several approximations, so the results should not be overinterpreted. The IDL code used for the calculations can be obtained from the first author.

The important point here is that the quantity of interest for a given observing sequence is the achievable S/N per unit time rather than per observation. This is limited in particular by CCD readout for short exposures and sky foreground noise for long integrations. There will be an optimum value between these two extremes, which depends on the target and observing facilities.

We start with count rates for the target (overall) and for the sky background (per pixel) gathered from the SIGNAL code. These are appropriate for the Isaac Newton Telescope and Wide Field Camera, so must be scaled for the difference in telescope aperture (1.5 m versus 2.5 m) and plate size 0.39" pixel$^{-1}$ instead of 0.33" pixel$^{-1}$). We adopt the default values for sky brightness in dark, grey and bright time; this approximation can be improved as and when additional information is available. The count rates are specified in electrons, so the CCD gain level is taken into account with the input parameters rather than as part of the S/N calculations.

For a given $t_{\text{exp}}$ (in seconds) we calculate the total electrons obtained from the target, and the associated Poisson noise, to be

$$S_{\text{target}} = t_{\text{exp}} C_{\text{target}}$$

$$N_{\text{target}} = \sqrt{t_{\text{exp}} C_{\text{target}}}$$

where $t_{\text{exp}}$ is the exposure time and $C_{\text{target}}$ is the electrons per second from the target. In order to estimate the amount of defocussing required (the actual shape of the PSF does not enter these calculations), we distribute these equally over $n_{\text{pix}}$ pixels by specifying a maximum number of electrons per pixel from the target and the background, $m_{\text{total}}$. Fig. 1 shows that this approach is imperfect so we also specify the maximum electrons per pixel from the target alone, $m_{\text{target}}$. This allows us to limit the range of counts within a structured PSF, and thus avoid saturating the most illuminated pixels.

If the sky background is low then we need only to ac-count for the limit set by $m_{\text{target}}$ in working out how many pixels to put the target electrons into:

$$n_{\text{pix}}(m_{\text{target}}) = \frac{S_{\text{target}}}{m_{\text{target}}}$$

(3)

If the sky background is high then we must increase the number of pixels containing counts from the target to avoid...
broaching the $m_{\text{total}}$ limit. In this case the number of pixels in the PSF is:

$$n_{\text{pix}}(m_{\text{total}}) = \frac{S_{\text{target}}}{m_{\text{total}} - C_{\text{sky}} t_{\text{exp}}} \quad (4)$$

where $C_{\text{sky}}$ is the electrons per second per pixel from the sky background. For a specific situation, $n_{\text{pix}}$ is taken to be the larger of the two alternatives.

Now we have found $n_{\text{pix}}$ we can calculate the total sky level in the PSF, and the ensuing Poisson noise, in one observation:

$$S_{\text{sky}} = t_{\text{exp}} n_{\text{pix}} C_{\text{sky}} \quad (5)$$

$$N_{\text{sky}} = \sqrt{t_{\text{exp}} n_{\text{pix}} C_{\text{sky}}} \quad (6)$$

The contribution from CCD detector readout noise is:

$$N_{\text{ron}} = n_{\text{ron}} \sqrt{n_{\text{pix}}} \quad (7)$$

where $n_{\text{ron}}$ is the readout noise per pixel in electrons.

The treatment of flat-field noise is more difficult, as the PSFs of one star in different observations will have many pixels in common whose flat-field noise will therefore cancel out. We approximate this noise contribution using $f_{\text{flat}}$, the flat-field noise per pixel (expressed as a fraction of the electrons in a pixel), and apply it to a number $n_{\text{flat}}$ pixels where $n_{\text{flat}} \leq n_{\text{pix}}$. The flat-field noise is then

$$N_{\text{flat}} = f_{\text{flat}} \left( \frac{S_{\text{target}}}{n_{\text{pix}}} + C_{\text{sky}} \right) \frac{n_{\text{flat}}}{n_{\text{pix}}} \quad (8)$$

We can now express these noise levels as fractions of the total electrons from the star in magnitude units:

$$\sigma_{\text{target}} = -2.5 \log_{10} \left( \frac{S_{\text{target}} - N_{\text{target}}}{S_{\text{target}}} \right) \quad (9)$$

$$\sigma_{\text{sky}} = -2.5 \log_{10} \left( \frac{S_{\text{target}} - N_{\text{sky}}}{S_{\text{target}}} \right) \quad (10)$$

$$\sigma_{\text{ron}} = -2.5 \log_{10} \left( \frac{S_{\text{target}} - N_{\text{ron}}}{S_{\text{target}}} \right) \quad (11)$$

$$\sigma_{\text{flat}} = -2.5 \log_{10} \left( \frac{S_{\text{target}} - N_{\text{flat}}}{S_{\text{target}}} \right) \quad (12)$$

The noise due to scintillation can be found using the relation given by Dravins et al. (1998) and originally due to Young (1967):

$$\sigma_{\text{scint}} = 0.004 D^{-2/3} X^{7/4} e^{-h/h} (2t_{\text{exp}})^{-1/2} \quad (13)$$

where $D$ is the telescope aperture (m), $X$ is the airmass, $h$ is the altitude of the telescope (m), and $H = 8000$ m is the scale height of the atmosphere. Note that scintillation varies seasonally, and the exponent of the airmass term actually varies between 1.5 and 2.0 depending on the direction of the wind relative to the telescope pointing (Dravins et al. 1998). These caveats illustrate the approximate nature of S/N calculations.

We now have five noise contributions which can be added in quadrature to reveal the total noise for one magnitude measurement in one observation:

$$\sigma_{\text{total}} = \sqrt{\sigma_{\text{target}}^2 + \sigma_{\text{sky}}^2 + \sigma_{\text{ron}}^2 + \sigma_{\text{flat}}^2 + \sigma_{\text{scint}}^2} \quad (14)$$

The ratio of noise to signal per unit time is then

$$\rho_{\text{total}} = \sigma_{\text{total}} \sqrt{t_{\text{exp}} + d_{\text{readout}}} \quad (15)$$

where $d_{\text{readout}}$ is the total dead time per observation (normally dominated by the CCD readout time). In reality there will be additional noise in differential photometry due to measurement of the magnitude of the comparison star. We do not include this here as its contribution to the total noise can be driven to a much smaller value than for other sources by using many comparison stars.

Using the above formulae we have performed $S/N$ calculations for the observations presented in this work. We adopted $m_{\text{target}} = 10000$, $M_{\text{total}} = 40000$, $n_{\text{ron}} = 4.0$, $X = 1.2$, and neglected flat-fielding noise. We set $d_{\text{readout}} = 91s$ to represent the first of our two observing sequences. The predicted $\sigma_{\text{total}}$ for $t_{\text{exp}} = 120s$ is 0.54 mmag (dark time), as compared to the 0.50 mmag we actually achieved. This good agreement could be further improved by tinkering with the input parameters to the $S/N$ calculations.

The resulting curves of noise level per observation and per minute are plotted as a function of $t_{\text{exp}}$ in Fig.4. The ‘sweet spots’ representing the lowest achievable noise level per minute (indicated by filled circles) occur at $t_{\text{exp}} = 565$ s (dark time), 310 s (grey) and 163 s (bright). Specifying a shorter readout time or fainter target star would shift the sweet spots towards smaller $t_{\text{exp}}$. The abrupt change of slope visible in Fig.4 at $t_{\text{exp}} = 740$ s (bright time) occurs when the sky background becomes so high that the starlight has to be spread over extra pixels to avoid transgressing the $m_{\text{total}}$ limit. Using these $S/N$ calculations we find that, except for a target star which is very faint, defocussing is always the best approach.

The exposure times yielding the lowest noise per minute for the current situation are too long to sample the light variations through a transit of WASP-5 adequately, which is why used $t_{\text{exp}} \leq 120s$. This is partly due to the long readout time of the DFOSC CCD: adopting $d_{\text{readout}} = 39s$ (appropriate for our second transit sequence) shortens the optimal exposure times to 371 s (dark), 203 s (grey) and 107 s (bright).

### 7 DISCUSSION AND CONCLUSIONS

We have presented high-precision light curves of two transits of the transiting extrasolar planetary system WASP-5, obtained by heavily defocussing the Danish 1.5 m telescope at ESO La Silla. The defocussing caused the telescope PSF to take an approximately annular shape of diameter 40 pixels (16′′). Data reduction was undertaken using standard aperture photometry techniques. Debiassing and flat-fielding the raw CCD images improved the results but only by a small amount, probably due to the use of autoguiding to confine the stellar PSFs to the same pixels on each image. Our final light curves have a scatter around the best-fitting model of 0.50 mmag and 0.59 mmag for the two transits, observed in dark and grey time, respectively.

We have presented detailed signal to noise calculations for defocussed photometry, taking into account Poisson noise from the target and background, readout noise, scintillation, and flat-fielding noise. Application of the resulting formulae to the current case yields a predicted noise level of 0.54 mmag (dark time), which is in good agreement with the
We use these calculations to assess what exposure times would give the best overall signal to noise per unit time, finding 565 s (dark time) to 163 s (bright time). Such large values arise partly because of the long readout time of the DFOSC CCD, and are impractical because they would not properly sample the light variations through transit.

We find that telescope defocusing is a viable way of obtaining high-quality light curves of point sources over short periods of time. Its main advantages are that flat-fielding noise is averaged down and a smaller proportion of the observing time spent reading out the CCD. The scintillation and Poisson noise levels per unit time are ultimately limited by the telescope aperture rather than the observational strategy. One possible disadvantage of our approach is the use of a focal-reducing imager. These can be prone to internal reflections, which may have slightly increased the noise levels we find. One definite advantage, though, is that the telescope was equatorially mounted, so the target and comparison stars could be kept to the same light path whilst observing a transit. It is not possible to do this with altitudinal azimuth telescopes, even if an image derotator is used, making such observations liable to problems with systematic errors.

The resulting light curves were modelled with the JKTEBOP code using the approach outlined by Southworth (2008). Limb darkening of the star was dealt with using five different LD laws, with similar results when one or both of the coefficients were included as parameters of the fit. We then adopted the observed $T_{\text{eff}}$, $M$ and velocity amplitude of the star (Anderson et al. 2008, Gillon et al. 2008) and interpolated within the tabulated predictions of three different sets of theoretical stellar evolutionary models to derive the physical properties of the WASP-5 system (Southworth 2000). This approach has allowed us to assign both statistical and systematic errors to all output quantities. Our results are fully consistent with the homogeneous analyses of 14 transiting extrasolar planetary systems presented by Southworth (2008, 2009).

We find that the planet WASP-5 b has a density equal to that of Jupiter, and that the system has an age of approximately 6 Gyr. The theoretical models presented by Fortney et al. (2007) can match WASP-5 b’s mass and radius without requiring a heavy-element core. WASP-5 is also in line with the trend of planets with short orbital periods to have relatively high surface gravities (Southworth et al. 2007d) and masses (Mazeh et al. 2003). We calculate that its equilibrium temperature is $T_{\text{eq}} = 1732 \pm 80$ K, which may be high enough for WASP-5 b to fall into the ‘pM class’ of planets with large atmospheric opacities due to oxides of titanium and vanadium (Fortney et al. 2008). Its Safronov (1972) number is $\Theta = 0.0755 \pm 0.0006$, which makes it a Class II planet according to the study of Hansen & Barnard (2007). However, Southworth (2009) found that the division between Class I and Class II objects is under threat from the steady addition of new discoveries to the catalogue of known transiting extrasolar planets, and may not be statistically significant. The high equilibrium temperature of WASP-5 b makes the system a good candidate for detecting the secondary eclipse at phase 0.5 (e.g. Deming et al. 2005, Harrington et al. 2007, Knutson et al. 2007), which would help our understanding of the physics of the atmospheres of gas giants. Such observations, as well as more precise measurements of the stellar velocity amplitude, $T_{\text{eff}}$ and $M$, are encouraged.

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The photometric observations presented in this work will be made available at the CDS (http://cdsweb.u-strasbg.fr/) and at http://www.astro.keele.ac.uk/~jkt/

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