An Experimental Study of Pedestrian Congestions: Influence of Bottleneck Width and Length

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Summary. The placement and dimensioning of exit routes is informed by experimental data and theoretical models. The experimental data is still to a large extent uncertain and contradictory. In this contribution an attempt is made to understand and reconcile these differences with our own experiments.

1 Introduction

An understanding of pedestrian motion within high occupancy buildings is necessary in order to ensure safe and prompt evacuations. Bottlenecks are an environment of interest and several factors influence this motion, namely the geometry of the bottleneck (width, length and location, the initial distribution of the pedestrians (densely/lightly packed, starting point) and sociological effects (group composition, motivation, stress levels). In [1] several experiments examining pedestrian flow through bottlenecks were compared and contrasted with each other. Between the experiments large discrepancies in the measurement of the flow were seen. In [2] the zippering effect was observed and the flow increased in a stepwise manner.

The size of the discrepancies casts doubts over the specification of planning regulations and guidelines, and as such we are compelled to reach an understanding of the underlying causes of these discrepancies. This contribution attempts to address the underlying causes of these differences.

In figure 1 sketches of the experimental setups discussed in [1] are shown. The most immediately identifiable differences are the geometry of bottleneck and the initial distribution of the pedestrians. We consider only the experiments from Kretz [3], Müller [4] and Seyfried [1] (figure 1(a), 1(c), 1(e)) in this
analysis as they concern the motion of an evenly distributed group through a symmetrical bottleneck.

\[ \text{(a) Kretz} \ [3]. \quad \text{(b) Muir} \ [5]. \quad \text{(c) Müller} \ [4]. \quad \text{(d) Nagai} \ [6]. \quad \text{(e) Seyfried} \ [1]. \]

\begin{figure}[h]
\centering
\includegraphics[width=\textwidth]{fig1}
\caption{Comparison of experimental setups.}
\end{figure}

Our experiment was performed in 2006 in the wardroom of the Bergische Kaserne Düsseldorf. The experimental setup allows the influence of the bottleneck width and length to be probed. In one experiment the width, \( b \), was varied (from 90 to 250 cm) at fixed corridor length, the other experiment investigated varying the corridor length, \( l \), (6, 200, 400 cm) at fixed \( b \) of 120 cm. Wider bottlenecks with more test persons were studied than in previous attempts. The test group was comprised of soldiers. Figure 2(b) shows a sketch of the experimental setup used to analyze the flow through bottlenecks, figure 2(a) shows a still taken from the experiment. To ensure an equal initial density for every run, holding areas were marked on the floor (dashed regions). All together 99 runs with up to 250 people were performed over five days.

\begin{figure}[h]
\centering
\includegraphics[width=\textwidth]{fig2}
\caption{The experimental setup.}
\end{figure}

### 2 Results

The time evolution of the density in front of the bottleneck is shown in figure 3. In the bottleneck width experiment the dependence on \( b \) is immediately obvious, figure 3(a) with the highest densities being seen in front of the narrowest bottlenecks (between 20 and 30 seconds the densities are \( 5.46 \pm 0.75 \),
4.79±1.00 and 3.52±0.87 for $b = 90, 160, 250$ cm respectively). For the length
experiments no appreciable difference in the densities can be observed.

![Diagram](image)

(a) Dependence on $b$.

(b) Dependence on $l$.

**Fig. 3.** Time evolution of the density in front of bottleneck.

With the accurate trajectories available to us, we can examine the process
of lane formation in detail. In figure 4 all the paths taken by pedestrians passing
through bottlenecks of varying widths are overlayed. From these various
insights into the process of lane formation can be obtained. The most imme-
diate observation is that lanes are not formed continuously as the bottleneck
width increases, figures 4(a) to 4(c), instead lanes are formed along the walls
of the bottleneck. At fixed $b$, the path layouts for $l = 200, 400$ cm look qual-
itatively the same, with two lanes forming. This contrasts with the $l = 6$ cm
situation where three lanes are formed.

In figure 5(a) and 6(a) $N$ can be seen to curve downwards therefore the
flow is time-dependent, diminishing as the experiment runs its course. The
flow will depend on the number of pedestrians considered. In this analysis
we calculate the flow using the first 150 people. Previous experiments have
not observed this time dependence, as the participation in the experiments
was not high enough (for example in [7] only 100 pedestrians took part). As
expected the flow exhibits a strong dependence on the width of the bottleneck
$b$, see figure 5. The bottleneck length $l$ exerts virtually no influence on the flow,
except for the case of the an extremely short constriction, figure 5, where three
lanes can be formed. In figures 5(b) and 6(b) the flow from our experiment
is presented alongside previous measurements. The black line in figure 5(b)
represents a constant specific flow of $1.9 \text{ m}^{-1} \text{s}^{-1}$. The difference between
the flow at $l = 6$ cm and $l = 200, 400$ cm is $\Delta J \simeq 0.5 \text{ s}^{-1}$.

The Müller datapoints lie significantly above the black line. The Müller
experimental setup features a large initial density of around $6 \text{ Pm}^{-2}$ and
Fig. 4. All pedestrian paths.
an extremely short corridor. The discrepancy between the Müller data and the empirical $J = 1.9b$ line is roughly $\Delta J \approx 0.5 \, \text{s}^{-1}$. This difference can be accounted for due to the short corridor, but may also be due to the higher initial density in the Müller experiment.

![Fig. 5. N the total number of pedestrians and the flow $J$, variation with $b$.](image)

![Fig. 6. N the total number of pedestrians and the flow $J$, variation with $l$.](image)
3 Stationary state

It is reasonable to assume that a stationary state would be reached given greater participation, as the initial conditions are forgotten by the system. However, from our data, we cannot detect any limiting value for the flow and therefore must presume that the participation level required for the system to reach a stationary state will be prohibitively high. It is possible that shorter bottlenecks require longer to reach a stationary state and secondly eager people are more likely to position themselves at the front of the pack. The individual eagerness could be controlled by deliberately shuffling the participants in the experiment.

4 Conclusions and future prospects

Pedestrian motion is influenced by innumerable factors. Here we have shown that the length of the bottleneck exerts a considerable influence on the flow, and can account for some of the observed differences. As expected the wider the bottleneck the greater the flow, also shorter bottlenecks permit a greater flow than longer ones. We have also observed that inside the extremely short bottleneck three lanes are formed. The influence of initial conditions on the time evolution of the system is still not understood. No evidence of a stepwise increase in the flow was seen as predicted by the zipper effect.

Due to the large fluctuations inherent in the measurement of the density, it is difficult to recognise when a stationary state has been achieved. Work is in progress on a measurement method which mitigates this problem.

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