I met Peter J. Bickel for the first time in 1981. He came to Jerusalem for a year; I had just started working on my Ph.D. studies. Yossi Yahav, who was my advisor at this time, busy as the Dean of Social Sciences, brought us together. Peter became my chief thesis advisor. A year and a half later I came to Berkeley as a post-doc. Since then we have continued to work together. Peter was first my advisor, then a teacher, and now he is also a friend. It is appropriate that this interview took place in two cities. We spoke together first in Jerusalem, at Mishkenot Shaananim and the Center for Research of Rationality, and then at the University of California at Berkeley. These conversations were not formal interviews, but just questions that prompted Peter to tell his story.

The interview is the intellectual story of a post-war Berkeley statistician who certainly is one of the leaders of the third generation of mathematical statisticians, a generation which is still fruitful today.

The conversation was soft spoken, a stream of memories, ordered more by association than by chronology. In fact, I led Peter to tell his story in a reverse direction, starting from the pure science and ending with the personal background. So, please sit back, and imagine you are part of the chat.

Peter, if you try to summarize the many stages of your career, how do you characterize the different periods?

A random walk with drift. Shall I start with the very beginning?

No, for now can you tell us about your academic career?

I did my thesis with Erich Lehmann. From the thesis, I published two papers on multivariate analogues of Hotelling’s $T^2$ (Bickel, 1964; Bickel, 1965a), really not knowing much about multivariate analysis at all, learning asymptotics as I went along. After the thesis, partly talking with Peter Huber, and partly talking with Erich Lehmann, I did some interesting things on questions of robust estimation. I had a paper on trimmed means and how they compare to the mean and median (Bickel, 1965b); again, the results were in the spirit of Hodges and Lehmann.

I would say that the first period was almost exclusively theoretical work, but actually, I think, almost from the beginning, driven as much by people as by a focus on the subject.

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The next stage happened by a curious accident due to Govindaraju. He asked me if I had ever thought about investigating linear combinations of order statistics. I said, no, but I had some ideas, having learned about weak convergence of stochastic processes. Initially, he said he wanted to work with me, but, at the same time, he was talking with people in Stanford; and then he carried the problem to Le Cam. The result was, finally, that the problem was attacked with three different approaches. One was the approach of the Stanford group, growing
from the work Herman Chernoff did on rank statistics, mine, using weak convergence of the quantile process (Bickel, 1967), and Le Cam’s, which used the Hájek projection technique. We all got results. Within this work, I was very pleased about the result that the covariance of two order statistics is non-negative, which Richard Savage claimed was a long unsolved problem. Then it turned out that it was an inequality in Hardy, Littlewood and Polya. This work also led to work in multivariate goodness of fit tests and other problems to which I applied the new notions of weak convergence of processes.

I went through my Ph.D. studies very quickly, which left me unfamiliar with many parts of statistics. I tried to fill the gaps later on. After my thesis Yossi Yahav and I started talking about his notion of asymptotic pointwise sequential analysis purely from a theoretical point of view. He had solved some special cases, and I realized that there was a general pattern we could use. We have two or three papers in that direction (Bickel and Yahav, 1967; Bickel and Yahav, 1968; Bickel and Yahav, 1969a; Bickel and Yahav, 1969b).

Erich Lehmann characterizes people as problem solvers, like Joe Hodges, and system builders, like Erich himself. I fall somewhere in between, but I am primarily a problem solver.

An area that I started to work on in the seventies with van Zwet and Götze was second order asymptotics (Bickel, Götze and van Zwet, 1985, 1986). It was prompted by Hodges and Lehmann’s paper on deficiency. I got an idea on how to prove things for one sample rank tests. Van Zwet, independently, got further, but was stumped by two samples tests. We talked and, using a method of Renyi, we got a complete answer for rank test statistics and permutation test statistics (Albers, Bickel and van Zwet, 1976). Later, I was asked to give what is now known as an IMS Medallion Lecture, for which I had to give a topic. I proposed Edgeworth expansions and non-parametric statistics, some of which I knew how to do, at least formally. But then I had to have a real example, so I chose U-statistics. Something like a month before the lecture I realized that there was a substantial difficulty with my arguments. Luckily, just in time, I found an idea which worked. Not quite the right idea, but it did give the first Berry–Esseen bound for U-statistics (Bickel, 1974). Subsequently, Jon Weirman in Seattle got it right.

I took part in the Princeton Robustness year in 1971 (Andrews et al., 1972). Unfortunately, I didn’t understand Tukey most of the time. He had his own language that one had to follow. But there were other interesting people I could talk with easily. Peter Huber was there, David Andrews, and Frank Hampel. One of the things that came up was the issue of adaptation. Peter Huber and I agreed that it was symmetry that was doing the trick. Then I decided to think more about this question. But we’ll return to that in a moment.

Then, surprisingly, I moved into something genuinely applied.

Somehow, through Joe Hodges, I got interested in finding out more about the university, so I joined something called the Graduate Council. Eugene Hammel, the Associate Dean of Graduate Studies, presided over the Council. One day, Hammel told me he had a very strange problem: he had analyzed data on graduate admissions, because he was worried that
the government would cut funding, on the grounds that Berkeley was biased.

Indeed, he found strong evidence of gender bias. So he looked to find the departments or units where the bias was, since decisions were made on the department or unit level; he couldn’t find them. I told him that there is no contradiction and I gave him an example of what I later learned was the Simpson paradox. Eventually, we made several tests for conditional independence by units, one of which we later found out was equivalent to the Mantel-Haenszel test. It was an enjoyable paper; it appeared in Science (Bickel, Hammel and O’Connell, 1975).

I had some other excursions into applications. I was recommended by Betty Scott to the National Research Council and served on two committees which studied two insurance problems. The first problem was how to implement a mud slide insurance program. The government already ran a flood insurance program in which it subsidized insurance companies to give insurance to flood areas, provided the communities would agree that people would not build on the flood plains. When Southern California had a period of extreme rain, there were mud slides all over. Consequently, the representatives of the districts with mud slides got a law passed in Congress requiring the government to construct a mud slide insurance program. But nobody knew how to do that.

So they convened the mud slide panel. It turned out that the main problem was the nature of the data. They had very extensive aerial photographs of the extent of mud slides, but nobody knew whether they had happened last year or a thousand years ago, so there was no way to set premiums. Basically, the panel knew what had to be done. They proposed that teams of engineers be collected to look at the candidate areas. The engineers would scratch their heads, and they would come up with an insurance rate, given the information available. I couldn’t see what else could be done. However, I suggested, “Why don’t you have different groups of engineers rate the same area and see if you can test for consistency?” Nobody else on the panel agreed.

The funny thing is that a year or two later I was put on another panel dealing with the same issue. This time it was about flood insurance. The problem was that the Federal Insurance Administration contracted out to different government agencies to assess flood risk. The US Geological Survey and the Army Corps of Engineers were assessing adjacent areas. The border was in the middle of a flood plain, but they came up with different rates for the two halves of the flood plain! Anyway that was fun. I enjoyed it. But I never did any serious data analysis, in part because I didn’t trust myself to be sufficiently observant.

Another line of research that had an impact on my later interests was a paper on the maximum deviation of kernel density estimates that I worked on with Murray Rosenblatt (Bickel and Rosenblatt, 1973). Murray came to my office back in the 70s and asked whether empirical process theory with weak convergence would work on extrema. I started to think about this and realized that it couldn’t work that way, because the limit is white noise. Eventually I saw a way that you could attack the problem with Skorohod embedding. While working with Rosenblatt and van Zwet, I read an old paper of Hodges and Lehmann where they looked at minimaxity subject to restrictions, where they did some explicit calculations for the binomial. At some point I learned an identity that Larry Brown pointed to:
you can relate the Bayes risk in the Gaussian shift model to the Fisher information of the marginal distribution. This led to papers on semiparametric robustness (Bickel, 1984) and on estimation of a normal mean (Bickel, 1983), which had a surprising follow-up in the work of Donoho and Johnstone.

At about the same time, I looked at the question of adaptation again. A paper on that subject (Bickel, 1982), as well as the preceding work on asymptotic restricted minimax, was developed during a Miller professorship, and that work was given in my Wald lectures. Then I came to Israel on sabbatical and I had the good fortune of having you as a student working on Bayesian robustness.

The next stage started when I gave lectures at Johns Hopkins on semiparametric models, and I began to put things in context and realized the connections with Jon Wellner’s and Pfanzagl’s work and robustness and so on. Then you, Jon, Chris Klaassen and I started working on our joint book (Bickel et al., 1993 & 1998) and, in the process, solved, separately or jointly, the problems of censored regression and errors-in-variables (Bickel and Ritov, 1987). It was great fun working on the book.

A significant excursion was some work with Leo Breiman. Leo was visiting Berkeley, considering whether to become a faculty member. He spoke about a multivariate goodness of fit test he devised using nearest neighbors in high dimension. Its asymptotic limiting behavior was harder to understand than either of us thought initially, but eventually we worked it out (Bickel and Breiman, 1983). The work appeared in the Annals of Probability because the Annals of Statistics was then run by David Hinkley, whose views of what constituted statistics were quite different from mine.

Another excursion which was important was to the theory of the bootstrap, on which I early on worked with Freedman, and later in the 90s with Götzte and van Zwet (Bickel, Götzte and van Zwet, 1995). Brad Efron introduced the bootstrap, following his profound insight into the impact of computing on statistics. It took me a while to realize that the bootstrap could be viewed as Monte Carlo implementation of nonparametric maximum likelihood. So these various things intertwined. I eventually became interested in the interplay between high dimensional data and computing and the tradeoff between computing and efficiency. From the 90s to the present, you and I moved from semiparametrics to nonparametrics, for example, nonparametric testing, the LASSO and that kind of thing. I think it is fair to say that this work was promoted in part by our participation in an unclassified National Security Administration program and in part by conversations with Leo Breiman. As you know, Leo and I got quite close. I learned a lot from him and I became more sharply aware that high dimensional data and computing had led to a paradigm change in statistics.

During our collaboration, I have tried to keep up with you. Working with graduate students—especially you—is a key part of my life. Ideas come to me when I talk. I have had lots of students, many very good, a few outstanding; all of them were important to me. Just as important have been senior collaborators, including a number of former students and colleagues at Berkeley, Chicago, Stanford, Seattle, Michigan, Harvard, Zurich, Leiden, Bielefeld and Israel.

As I became older, I finally became bolder in starting to think seriously about the interaction between theory and applications, a direction initiated in part by working with my student and, later, collaborator, Liza Levina. Nancy, my wife, thinks, and I think she is right, that getting the MacArthur Fellowship made a change. I never was sure of myself and the MacArthur helped. I became more self-confident. When my student, Niklaus Hengartner, was working on a specific applied problem, we realized that the theoretical semiparametric ideas really helped (Hengartner et al., 1995). Then, the work with John Rice, you, and the Engineering and Computer Science people on transportation problems played an important role. I think my collaboration with John...
Rice has been very fruitful. He is a wonderful data analyst, has very interesting ideas on the questions that can be asked and is also very knowledgeable about different techniques. I really like the recent work with John and Nicolai Meinshausen, which is coming out in the *Annals of Applied Statistics* (Meinshausen, Bickel and Rice, 2009). As far as I know, it is the first paper which makes it absolutely clear that a main issue is the tradeoff between the efficiency of a procedure and the amount of computer time required to implement it successfully.

Then there is biology. I was always interested in biology. I met this wonderful guy, Alexander Glazer, who was then the chair of Molecular Biology in Berkeley. At some point, because I was thinking about exploring biology, we talked after a lecture. He said he was unhappy about critiques by phylogeneticists of recent work on some proteins he had long studied. When he gave a talk at Stanford, these critics claimed that, using statistical methods, they had obtained a phylogenetic tree that contradicted his views. I had some doubts about statistical methods in this context, said so, and we started to talk. He was just retiring and closing his lab, becoming a high level administrator, but he wanted to keep his hand in.

I had a very good student, Katerina Kechris, who was just starting. I got her involved in his program. I told her it was risky, but we had a chance to work with a real biologist. It worked out so well that our first paper actually became Alex’s inaugural paper in the Proceedings of the National Academy of Sciences when he was elected to the Academy (Kechris et al., 2006). This work taught me something about the limitations of fundamental experimental information. We did some statistical analyses and introduced some funny methods for finding critically important sites in proteins. Since the crystallographic structure of the proteins we were studying was known, we looked to see if the sites we identified statistically were visibly critical to the structure. Not a chance! So in the end we made our case with statistics, by saying that the percentage of time that mutations in our sites have serious consequences is larger than expected by chance, they are closer to some critical structures then if they were randomly selected and so. But we never were able to say that if you change the amino acid in one of the positions we identified, everything collapses.

Then I put together a proposal with Katerina Kechris and a young colleague, Haiyan Huang, for a spe-

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**Fig. 7.** Peter Bickel, Quang Pham, Kang James, Yossi Yakhav, Berry James and Nancy Bickel. Bickelfest, Princeton 2005.

**Fig. 8.** David Donoho, Iain Johnstone and Peter Bickel, celebrating Iain’s election to the National Academy.

**Fig. 9.** Peter Bickel and Ya’acov Ritov, a day before the interview took place. In the background, Mount Olive, Jerusalem.
cial program of the National Science Foundation, funded largely by the National Institute of General Medical Sciences, for problems on the borders of biology and mathematics. The proposal had two parts. One was on a key question of Alex Glazer about lateral gene transfer between different species of bacteria. A second part was on the functional importance of genomic sites conserved between very distant species. We proposed to use a data set from Eddy Rubin’s lab. The reviewers liked the conserved sites part of the proposal, but hated the lateral gene transfer part, so our overall score was borderline. Shula Gross was then an NSF program director. She persuaded the NIGMS people to fund the proposal. Katerina, Haiyan, a student, Na Xu, and I started working on the conserved sites problem—with very modest success. Because we got the funding, I was able to attract a student, Ben Brown, from an engineering program and put him to work on the genomics questions. He is both passionate and scholarly about the biology and has mastered a great range of computing techniques on his own. Our results on the Rubin data were still not very satisfying. Fortunately, we were led to change our focus by connecting with a group at the National Human Genome Research Institute.

Because I have grandchildren in Washington, I decided to find a suitable academic base for visiting in DC. I looked for a place to work at the National Human Genome Research Institute. I didn’t know anybody there, but I was on a committee with biochemist Maynard Olson, who had been a post doc with Alex Glaser. Olson’s own post doc, Eric Green, directed a lab group at NHGRI. There, I got involved in the ENCODE (Encyclopedia of DNA) project. Little happened during my first visit, but the next year I brought Ben. That made a big difference. Ben was able to talk with the biologists in their language and carry through computations.

I had not expected important statistical methods to come out of the project. My main motivation was learning more about the biology. But, it turned out that we needed to develop a nonparametric model for the genome, which might turn out to be interesting and important. This model is the most nonparametric model you could think of for the genome. In addition, the method of inference that we developed, a modified block bootstrap, gives a check on whether what you are doing is reasonable. On the scales that ENCODE was studying, our theory requires that the statistics on which our methods are based should have approximately Gaussian distributions. By plotting the bootstrap distributions of these statistics, we can see if this assumption is roughly valid. Moreover, the model is robust in the sense that, even if the approximation is poor, p-values for tests of association between features are conservative. This work turned out to be very nice theoretically and the biologists seem to like it a lot. I am now somewhat confident that this framework may lead to major contributions.

The other direction I’ve been following is connected with the location of my second set of grandchildren in Boulder, Colorado. I’ve been visiting at the National Center for Atmospheric Research in Boulder, working with the statistics group headed by Doug Nychka. A basic goal at NCAR is to do relatively short term weather prediction based on computer models. You can say “Why do I need a computer model? I can make predictions using yesterday’s weather or other past information.” But, because of the high dimensionality of the problem, this approach doesn’t work. The computer models are valid enough to dramatically improve prediction. However, the computer models themselves produce high dimensional data.

Again, through chance, Thomas Bengtsson came to Berkeley. Bengtsson had spent some time in NCAR and, working with the physicists, had been trying to understand how to use these computer models effectively. They had hit a serious problem, the collapse of particle filters in high dimension. Bengtsson, Snyder, Anderson, two physicists at NCAR and I were able to analyze this phenomenon. This led to a paper in the Monthly Weather Review (Snyder et al., 2008) and some theoretical papers (Bickel, Li and Bengtsson, 2008). I am now working with Jing Lei, a graduate student, trying to bypass these difficulties of particle filters.

As it turns out, both of my current fields of application, genomics and weather prediction, have fed naturally into my theoretical interests in understanding high dimensional data analysis. I still work at a rather abstract level, and don’t deal well with details, but, fortunately, my students, post docs and colleagues compensate for my shortcomings, so together we’re able to make satisfying contributions to both theory and practice.

I want to go back to your student years in Berkeley.

I started at Caltech, was there for two years, but then transferred to the University of California, Berkeley. I finished my undergraduate work at Berkeley
in one year, because I had done five years of high
school in Canada, not four as in the US. Caltech
paid no attention to the extra year, but Berkeley did
give me credit for my fifth high school year, provided
I completed my undergraduate degree in mathematics. I had moved to UCB intending to switch to psychology. That’s what brought me to a class taught
by Joe Hodges. I thought statistics would be necessary for a psychology student. That class drew me into statistics just at the time that a graduate class
in mathematical learning theory made me skeptical
about psychology.

I took a Master’s degree in math while I was deciding whether to go into math or statistics. I actually wanted to do my Ph.D. with Hodges, but Hodges insisted that people come to him with their own problems, and I wasn’t ready to do that. So he steered me to Lehmann. That was very fortunate for me. Erich Lehmann was really a life guide, not just an academic one. Academically, my progress was a bit funny. I spent only two years in my Ph.D. program. I had already taken the basic graduate probability course. I found statistics interesting and wanted to pursue it in depth. I could really have gained by studying a little bit more, but again chance intervened. The Department had an oral Qualifying Exam for the Ph.D., with three panels of faculty members—in theoretical statistics, applied statistics and probability theory. The students were examined by each of the three panels. My friend Helen Wittenberg (now Shanna Swann) needed a study partner and enlisted me. So I took the qualifying exam a year earlier than I otherwise would have done.

The applied statistics exam was a bit of a farce. How did one prepare oneself? One read thoroughly Scheffe’s book, *The Analysis of Variance*, a lovely book, but it’s really a theory book, with few examples of analyses of real data. The panel on applied statistics consisted of Elizabeth Scott, Jerzy Neyman, Evelyn Fix and Henry Scheffe. They asked me about the book, and that was OK. Then Betty Scott actually asked me something applied, and I didn’t know what to say. They passed me anyway. I was tired of school and wanted do a thesis right away. Erich gave me a problem, which I didn’t know very much about, but I succeeded. The Department hired me; so I stayed.

*How would you describe the people in Berkeley at this time?*

It was a very eminent group and there was a lot
of collaboration and a cordial environment. I have
enjoyed these aspects of the department very much
from the beginning. There were many joint papers.
Between Hodges and Lehmann, of course, there was
a long collaboration. Blackwell and Hodges had papers; Blackwell and Le Cam had papers. I don’t know about Neyman and Le Cam, but certainly they interacted intensely. Henry Scheffe and Erich also worked together a lot before my time. Before he moved to Stanford in the early 50s, Charles Stein worked with Erich. There were some tensions in the department, but I wasn’t aware of them at that time.

Le Cam and Neyman viewed themselves as applied statisticians, though the rest of the statistical world might not have agreed. Betty Scott did applied statistics, in astronomy and climatology. Henry Scheffe was a serious applied statistician. He worked with Cuthbert Daniel, who was a private consultant and very impressive. Henry brought him to Berkeley for a semester of lectures, which was very good for all of us. Joe Hodges was considered the most talented applied statistician in the department. He had a wonderful sense of data, but Joe, interestingly enough, didn’t want to be an applied statistician.

The intellectual center of the Department was certain mathematical theory. There was a young group of probabilists, including David Freedman and Lester Dubins and the more senior Loeve and Le Cam. David Freedman eventually switched to statistics. The relations with Stanford were excellent. We used

Fig. 10. *Peter Bickel with his parents, Madeleine and Eliezer Bickel. Ca. 1943.*
to have the Berkeley–Stanford colloquia twice a quarter, one in Berkeley, and one in Stanford. So, it was a very pleasant place to work.

I collaborated with Erich and Joe and with David Blackwell. Eventually, but much later, I collaborated with David Freedman, I think that’s about it with the early years group. Subsequently, I collaborated with later arrivals, Leo Breiman, Rudy Beran and Warry Millar, as well as, of course, Kjell Doksum, with whom, in addition to papers, I published a book whose second edition we are still working on.

Not long after I started teaching, in the late 60s and early 70s, Berkeley was full of turmoil. Things happened that had nothing to do with statistics. I and most of my colleagues supported the Free Speech Movement. Later on we supported a student strike by holding our classes off campus, but we were not personally engaged. Of course, it was very emotional. People left the university from both the right and the left. When Reagan was governor and when Nixon was president, conflict about the Vietnam War got heated. I remember teaching class in Dwinelle Hall at noon, and tear gas coming through the Windows.

How do you define your generation? Erich Lehmann was the leading person in the second generation. The third generation more or less started with you and your colleagues.

To some extent, yes. Moving beyond Berkeley, I’ve been struck by a curious observation. A substantial number of leading figures in my generation came from Caltech. They include, among others, Brad Efron, Larry Brown, Chuck Stone and Carl Morris. Nobody taught statistics at Caltech. But, for some reason, we all felt we wanted to do things in the real world. Among us, only Brad claims that he always wanted to do statistics. Larry went to Cornell and worked with Jack Kiefer and wrote a statistical thesis. Chuck said he wanted to do statistics, but he moved to probability as a student of Karlin. Later he got involved with Leo Breiman and went into statistics.

Can you tell about yourself? You once told me, “We are lucky to belong to a generation that didn’t suffer from wars.” I found it an interesting comment from somebody who was born as a Jew in central Europe during WWII. Can you tell us about your history?

I was born in Bucharest in 1940, but I was really not very aware of the war, except that sometimes we had to go to the bomb shelters (when the Americans were bombing the oil field in Ploesti). Once, when we were coming back, I saw broken windows in some office buildings. My father Eliezer (Lothar) Bickel was able to continue to practice medicine during the war. There was a pogrom in Bucharest, which we narrowly avoided by my mother Madeleine’s courageous behavior. Then, after the war and after the communists took over, my parents arranged, with difficulty, to leave Romania legally. But I didn’t realize the difficulties at the time.

We went to France in 1948 and then to Canada in 1949. I studied in France in a public school for ten months. In France my father insisted on giving me English lessons after an eight hour day of school and homework. From Canada we went to California. I could have been drafted in the Vietnam War, but I married young and we had a child. So that probably was the source of my remark.
Can you tell us about the intellectual influence of your family on you?

My father was born in Bukovina, a German speaking province of the Austro-Hungarian Empire. He had a traditional Jewish and then a secular education. In high school, under the influence of one of the high school teachers, he and other Jewish students became involved in one of the many intellectual groups of the time. He became, basically, a disciple of a German philosopher called Constantin Brunner, a son of the grand rabbi of Hamburg, who rebelled against his father. Brunner was involved in elaborating a philosophical system based on Spinoza. He believed strongly that the Jews should assimilate to German culture. One of his books, called “Unser Christus oder Das Wesen des Genie,” or in English, “Our Christ, or The Essence of Genius,” among other things, advocated assimilation to German culture, including Christianity. Like Brunner, my father favored assimilation. In Romania, we never celebrated Jewish holidays, and in fact, we celebrated Christmas, but in a nonreligious way.

My father became the leader of the Brunner group; he was treated almost as the equivalent of a Hasidic rabbi. He pursued two fields at the same time—medicine and philosophy. He was able to study medicine at the University of Bucharest, even though very few Jews were admitted because there was a “numerus clausus.” Also, as he was the second son, his father wanted him to run the family store and wouldn’t pay for his further education. He rebelled and had to struggle on his own. My father went to Germany to do post graduate study in medicine. At the same time he was able to meet and study with Brunner. He was successful in both fields. I found out later that he was an experimentalist, publishing 23 papers while in Germany. Then, and later, he published books in philosophy.

If Hitler had not come to power, I might not be here. My father would have stayed in Germany and become a professor in Berlin. But when Hitler expelled the foreign Jews, my father returned to Bucharest, married my mother, and I came to be. My mother was seriously ill during the first few years of my life, but I had a loving set of grandparents and a nurse who took care of me and, as far as I can remember, was happy.

I was eleven when my father died. By then we were living in Canada. Although he was very ill with heart disease, he was studying very hard to qualify as a doctor in Canada. My relations with him were never easy. He kept a notebook of anecdotes about me from ages one to five. When I translated it for my wife Nancy, I saw as I read that the anecdotes are all instances in which the father humiliates the child. After he died, I tried to help my mother, in the house, and by taking a job delivering for the local drugstore. She coped wonderfully even though her life in Romania had not prepared her for the role of relatively poor single mother. Our relations were very close. I would act as confidante and counselor and was very proud of what help I could give. She remarried, and that’s how we got to California.

I found school work and languages very easy as a child, too easy, as I discovered when I got to Caltech and had to compete with many who were as quick or quicker than I was. I wanted to be a scientist ever since I read the books of George Gamow. But I was broadly interested in physics on the one hand and physiology and biochemistry on the other. I avoided medicine and philosophy, since my father had been a physician and philosopher. Fortunately, I found my way through mathematics to statistics, which has allowed me to dip into almost every science.

Your uncle was a lawyer?

In Romania my uncle Shlomo Bickel was a lawyer, but he, like my father, and most of his generation of Jews, was part of a movement. He was a Yiddishist and a Zionist. He was able to get out to the States in 1938. He couldn’t practice law, so became a journalist and wrote weekly columns for The Day, one of the two large Yiddish papers in New York. He also wrote several books; one chapter of his book “Rumania,” later translated into English, was about my father and other rebellious Bickels. I felt very close to my uncle Shlomo and aunt Yetta. Their household was full of intellectual and literary discussion. They showed great affection to each other and to me, particularly after my father died. They showed me how loving and intellectually lively family life could be. Like my uncle, I’ve been fortunate to have a family life full of love and discussion.

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