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The Three C’s of Cethrene

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Abstract: Molecules that contain one or more unpaired electrons delocalized within a \( \pi \)-conjugated backbone are promising candidates for applications in spin electronics or simply ‘spintronics’. Our group develops functional organic materials based on \( \pi \)-conjugated hydrocarbon molecules, where the electrons are unpaired either in the ground state or in the excited state that is low in energy and can be populated thermally. We aim to learn how to introduce and control a multitude of properties, namely, optical, chiroptical, magnetic, and conductive, in a bulk material made of these molecules, by manipulating spin interactions between the unpaired electrons. The first model system that was developed in our group is a hydrocarbon named cethrene, which has a diradicaloid singlet ground state and a low-lying triplet excited state. In this article, the structural parameters and their impact on the properties and reactivity of cethrene are discussed within the realm of the three C’s that symbolize cethrene’s C-shape, chirality, and chameleonic reactivity.

Keywords: Cethrene · Diradicaloid character · Helical chirality · Magnetic properties · Pericyclic ring-closure

Michal Juríček was born and raised in Bojnice, Slovakia. He received his Master’s degree in Organic Chemistry from the Comenius University in Bratislava in 2005. There under the supervision of Martin Putala, he studied how to conserve the configuration of binaphthyls during cross-coupling reactions. He then moved to The Netherlands to pursue his PhD at the Radboud University Nijmegen mentored by Alan E. Rowan. His doctoral work revolved around the chemistry of triazoles, which he employed in the design and synthesis of functional materials. In 2011, he joined the group of J. Fraser Stoddart at Northwestern University in Evanston, United States, as a postdoctoral scholar supported by Dutch fellowship Rubicon. He was synthesizing extended tetracationic cyclophanes to sequester hydrocarbon pollutants, mimic enzyme catalysis, and make molecular switches. In 2013, he returned to Europe and started his independent research career in Switzerland: first at the University of Basel as an Ambizione fellow of the Swiss National Science Foundation (SNSF) hosted by Marcel Mayor and, as of April 2017, as an Assistant Professor at the University of Zurich, where his research is supported by the European Research Council and SNSF. His group designs, synthesizes, and investigates functional organic molecules with delocalized spin densities.

Introduction

Organic molecules that contain one or more unpaired electrons and have a non-zero spin can serve as building blocks for the design of non-metal-based magnetic materials.[1] In addition to cases where unpaired electrons in a molecule reside each on one atom only, molecules where unpaired electrons occupy multiple positions simultaneously are possible.[2] Such molecules can be achieved by integrating unpaired electrons into a \( \pi \)-conjugated system, where all feasible resonance forms account for the distribution, or delocalization, of these electrons and thereby the spin. In spin-delocalized molecules, the spins of unpaired electrons ‘communicate’ via the \( \pi \)-conjugated backbone and structural design allows not only to control the spin interactions between unpaired electrons,[3] but also to generate different spin states and to control the energy gap between these states.[4] Another feature of spin-delocalized systems is their ability to form \( n \)-electron multicenter bonds, or so-called pancake bonds,[5] which are formed not between one but multiple pairs of atoms of the face-to-face oriented spin-delocalized systems. This bonding interaction is an attractive force that acts against electron repulsion between the \( \pi \)-systems[6] and decreases the distance[7] between the facially oriented units when compared to a regular \( \pi \)–\( \pi \) stacking distance of \( \sim 3.4 \) Å. A bulk material assembled from molecules with delocalized spin densities via pancake-bond formation can display a range of properties, including magnetism and conductivity,[7] as well as bistability in response to external stimuli that allows to switch between two states, in which these properties differ substantially, for example, one state being IR transparent, paramagnetic, and insulating and the other one being IR absorbing, diamagnetic, and conducting.[5]

The simplest case of a spin-delocalized hydrocarbon system is an allyl radical (Fig. 1, left panel, black), in which one unpaired electron is delocalized between two positions (1 and 3), the terminal carbon atoms. Attachment of an additional sp\(^2\)-carbon atom gives either trimethyl-enemethane (TMM; red) or 1,3-butadiene (BD; blue), both \( \text{C}_6\text{H}_6 \) isomers, depending on whether this carbon atom is attached at the 2- (TMM) or 1-position (BD) of the allyl radical.[8] The mode of connection is a game changer: while TMM has a non-Kekulé diradical structure containing two unpaired electrons and one double bond, BD has a Kekulé structure with two conjugated double bonds and no unpaired electrons. This simple exercise nicely illustrates the effect that the ‘topology’ of an sp\(^2\)-carbon-atom backbone has on the electronic structure, which can be open-shell...
(TMM) or closed-shell (BD). Combining two TMM, two BD, or one TMM and one BD units together such that a six-membered ring with two methylene substituents is formed (Fig. 1, middle panel) leads to a series of para- (pQDM), meta- (mQDM), and ortho- (oQDM) quinodimethanes (Fig. 1, right panel), also known as xylenes. In this case, the combination of two units of the same kind gives Kekulé quinoidal structures (either pQDM or oQDM), while only the combination of one TMM and one BD unit gives a non-Kekulé diradical structure (mQDM) with one Clar’s sextet.

The allyl radical, TMM, BD, pQDM, mQDM, and oQDM belong to the category of alternant hydrocarbons.[13,14] A π-conjugated hydrocarbon is alternant when stars (asterisks) can be placed on alternate sp² carbon atoms with no stars being adjacent. When there is an unequal number of starred (n_u) and unstarred (n_s) atoms, the stars are placed such that n_u > n_s. Alternant hydrocarbons are classified as even- and odd-alternant, where in the former case n_u = n_s (BD, pQDM, and oQDM) and in the latter case n_u > n_s (allyl radical, TMM, and mQDM). Even-alternant BD, pQDM, and oQDM have equal numbers of fully occupied bonding and empty antibonding orbitals, symmetrically distributed, and no non-bonding orbitals. As a result, each molecule can be represented by at least one Kekulé resonance structure in which all electrons are paired in form of conjugated double bonds. Even-alternant hydrocarbons can, however, also possess non-Kekulé diradical structures such as, for example, square cyclobutadiene (n_u = n_s = 2) or tetracycloethane (n_u = n_s = 3).[86] Odd-alternant hydrocarbons, such as allyl radical, TMM, and mQDM, have also equal numbers of fully occupied bonding and empty antibonding orbitals, but also a set of non-bonding orbitals, the number of which equals to n_u – n_s. Each non-bonding orbital is occupied by one unpaired electron and the number n_u – n_s is thus also equal to the number of unpaired electrons. In the case of these molecules, Kekulé resonance structures with all electrons paired cannot be drawn and only non-Kekulé resonance structures are possible (the positions of stars denote the positions where unpaired electrons can reside). In addition, the ‘star’ rule can be used to predict the ground state of a π-conjugated hydrocarbon.[87] When n_u > n_s, the ground state is of highest possible multiplicity (e.g., TMM has a triplet diradical ground state[10]) on account of the non-disjoint character of the non-bonding orbitals that have atoms in common.[106] When n_u = n_s, the ground state is typically singlet (BD, pQDM, oQDM), even for diradical systems such as square cyclobutadiene.[11] Here, the non-bonding orbitals are disjoint, that is, they do not have atoms in common, and to a first approximation the lowest singlet and triplet states have the same energy. Because of dynamic spin polarization that selectively stabilizes non-uniform distribution of electron spin in the non-bonding orbitals, however, diradical molecules with n_u = n_s typically have a singlet ground state.[11a]

The BD and TMM units can be used to construct even larger systems. Fig. 2 shows three out of five possible isomers[4] with a molecular formula C_{72}H_{32} composed of seven fused six-membered rings. In the case of [7]zethrene and cethrene, seven BD units can be used to assemble the π-conjugated core of both compounds, while in the case of [7]uthrene, one BD unit needs to be replaced by a TMM unit. As a result, all electrons are paired in [7]zethrene and cethrene to give a system with 14 conjugated double bonds. In [7]uthrene, two electrons remain unpaired and in resonance with 13 conjugated double bonds. Also in this case, the star rule can be applied, leading to n_u = n_s = 14 for [7]zethrene and cethrene and n_u = 15 and n_s = 13 for [7]uthrene. The outcome is a Kekulé system with a singlet ground state in the former cases and a non-Kekulé diradical system with a triplet ground state in the latter case. Out of five possible isomers, only [7]zethrene and [7]uthrene were known[3,12] prior to 2016, when we reported[13] the synthesis and properties of the first derivative of cethrene. In this account, the structure–property relationship in cethrene is discussed within three sections where the letter ‘C’ symbolizes cethrene’s C-shape, chirality, and chameleonic reactivity.

'C' for C-Shape

The names of the homologs of the isomeric series C_nH_{2n} are derived[3,13,14] from their molecular shape (Fig. 3): the Z-shape of [7]zethrene (dibenzo[de,op]pentacene), the U-shape of [7]uthrene (dibenzo[de,ik] pentacene), and the C-shape of cethrene (dibenzo[pq,uv]pentaphene). The number in the square brackets denotes the number of fused six-membered rings. In cethrene, this number is omitted as cethrene is the first homolog of the cethrene series featuring an [n]helicene subunit (in the case of parent cethrene, n = 5). The first homologs of the zethrene and uthrene series featuring an [n]acene subunit are zethrene and uthrene (n = 4; total number of rings = 6), respectively. In this respect, [6]cethrene would have an identical structure as [6]uthrene, therefore, [7]cethrene is the parent molecule. These isomers can also be obtained by fusing two phenalenyl units.
to a central benzene ring. Depending on the fusion mode, either a Kekulé (para-/para-fusion in [7]zethrene and para-/ortho-fusion in cethrene) or a non-Kekulé (meta-/meta-fusion in [7]uthrene) system is obtained (Fig. 3, top panel). The Kekulé systems possess a quinoidal structure featuring a pQDM subunit (in blue) and two Clar’s sextets (gray-filled rings). The non-Kekulé system has a diradical structure featuring a mQDM subunit (in red) and three Clar’s sextets (gray- and red-filled rings). A diradical resonance structure can also be drawn for the Kekulé systems. In such a case, an additional Clar’s sextet (red-filled ring) is obtained.

Kekulé systems such as [7]zethrene and cethrene, where the quinoidal pQDM subunit disrupts the aromaticity of three out of seven rings and the diradical resonance structure displays an additional Clar’s sextet, typically have a small energy gap (i) between the highest occupied (HOMO) and the lowest unoccupied (LUMO) molecular orbitals and (ii) between the singlet ground state and the first excited triplet state.

Because the bond order is decreased and both the HOMO and the LUMO are occupied by fewer than two electrons each, the singlet ground state can be described as ‘diradicaloid’. It is important to note that the term diradicaloid does not infer the presence of unpaired electrons, as can be easily mistaken, but the fact that the frontiers of the HOMO–LUMO gap, thermal equilibrium leads to the population of the triplet state according to the Boltzmann distribution, and an electron paramagnetic resonance (EPR) spectrum of the species in the triplet excited state can be recorded. Considering the sensitivity of the EPR instrument and a concentration of the sample (typically in the range of $10^{-4}$ to $10^{-3}$ M), an ST gap of roughly less than 8 kcal mol$^{-1}$ is needed. If an EPR signal is observed, variable-temperature EPR measurements can be performed (the intensity of the signal decreases with decreasing temperature) and the data can be fitted by using the Bleaney–Bowers equation to obtain an experimental value of the ST gap. Another consequence of the low ST gap is that broadening of the signals in the $^1$H NMR spectrum can be observed. This broadening is also temperature-dependent and increases with increasing temperature, that is, increasing population of the triplet state.

The very small HOMO–LUMO gap in quinoidal Kekulé systems needs to be considered for a correct description of their ground states (blue square in Fig. 4; $a = $ HOMO, $b = $ LUMO), which requires an admixture of a doubly excited configuration ($a^2b^2$) into a ground configuration ($a^0b^0$) or, loosely speaking, part of the electrons from the HOMO are placed into the LUMO to minimize electron repulsion.

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Fig. 4. Quinoidal molecules pQDM, oQDM, [7]zethrene, and cethrene display small HOMO–LUMO energy gaps ($a = $HOMO, $b = $LUMO). The correct description of their ground states (blue square) therefore requires an admixture of a doubly excited configuration ($a^2b^0$) into a ground configuration ($a^0b^0$) or, loosely speaking, part of the electrons from the HOMO are placed into the LUMO to minimize electron repulsion. Because the bond order is decreased and both the HOMO and the LUMO are occupied by less than two electrons each, the singlet ground state can be described as diradicaloid. A common feature of diradicaloid compounds is that the triplet excited state ($a^1b^1$; red square) is relatively low in energy, which can make it thermally accessible. The thermal equilibrium between the diradicaloid singlet ground state (blue) and the triplet excited state (red) is shown for pQDM.

tier molecular orbitals are not fully occupied although the electrons are paired. The diradicaloid character of molecules represents a challenge for computational methods.[22] For example, DFT is a single-reference method and the ground state of a diradicaloid molecule can be either optimized by using a spin-restricted wavefunction (electrons are only in the HOMO) or a spin-unrestricted broken-symmetry wavefunction. Because none of these approaches is ideal, it is important to compare the results of the two with experiment. Multi-reference methods such as CASPT2 are better suited, however, they are significantly more time-consuming, in particular for systems as large as [7]zethrene and cethrene. These methods can also provide information on the occupancy of the HOMO and the LUMO. In addition, the partial occupancy of the frontier molecular orbitals endows diradicaloid molecules with the ability to form pancake bonds. For example, Kubo et al. demonstrated[78] that a diradicaloid system composed of two phenalenyl units forms in the solid state an infinite stack, where each phenalenyl subunit forms a pancake bond with a phenalenyl subunit of the neighboring molecule. In this unique pancake-bonded system, the unpaired electrons of the phenalenyl subunits interact intramolecularly through the backbone of the molecule and, at the same time, intermolecularly through space between the molecules. As a result, the bulk material displayed lower HOMO–LUMO and ST gaps, when compared to those of single diradicaloid monomer.

‘C’ for Chirality

Our interest in synthesizing and studying cethrene was inspired by the work of Kubo et al., who demonstrated[78] that intermolecular through-space interactions can affect the spin coupling between unpaired electrons. In contrast to planar [7]zethrene and [7]julithrene, which possess a pentacene subunit (Fig. 5, top panel, red-filled rings), the structure of cethrene features a [5]helicene subunit (Fig. 5, bottom panel, blue-filled rings). Because of steric interactions between the hydrogen atoms in the fjord region, cethrene is not planar. Instead, it adopts a helically twisted geometry with a C$_2$ symmetry and displays axial chirality.[17] In this system, the electrons can ‘communicate’ simultaneously via the backbone and through space within a molecule. Thus, we were intrigued to find out how the through-space interactions would affect the HOMO–LUMO and ST gaps of cethrene when compared to the planar isomer [7]zethrene, which also has a single diradicaloid ground state and a low-lying triplet excited state. On account of the helical geometry, cethrene exists in the form of three enantiomers. To demonstrate that cethrene is chiral, we successfully separated the enantiomers of its dihydro-precursor, which displayed mirror-image Cotton effects in the CD spectra. Kinetic measurements were performed to determine the energy barrier of enantiomerization at 298 K (~25 kcal mol$^{-1}$), which matched that of parent [5]helicene (~24 kcal mol$^{-1}$).[13b] Note: in the original work, a diphenyl derivative of cethrene was studied.

Fig. 5 shows the HOMO and the LUMO of [7]zethrene and cethrene obtained from the Hückel molecular orbital (HMO) analysis. In both cases, the shape of the HOMO nicely reflects the pQDM subunit, which indicates that both diradicaloid molecules are best represented by the quinoidal resonance structures (Fig. 3, left). These are in good agreement with both the bond lengths and NICS profiles that were obtained from DFT.[13b] The diradical resonance structures (Fig. 3, right) best represent the excited state of these molecules. In contrast to planar [7]zethrene, however, an antibonding (ab) and a bonding (b) interaction arise in cethrene within the HOMO and the LUMO, respectively, because of the helical twist (Fig. 5, bottom panel). The antibonding interaction increases the energy of the HOMO and the bonding interaction decreases the energy of the LUMO. As a result, cethrene displays a smaller HOMO–LUMO gap, when compared to [7]zethrene. This feature can be observed experimentally by comparison of the absorption spectra of both compounds, where absorption maximum of cethrene (665 nm[13b]) is shifted significantly to the red when compared to that (586 nm[3]) of [7]zethrene.

The through-space orbital interactions also affect the ST gap, and while [7]zethrene is EPR silent,[12a] a signal of the thermally populated triplet state was observed[13b] in the EPR spectrum of cethrene at room temperature. Variable-temperature experiments described above allowed determination of the ST gap (~5.6 kcal mol$^{-1}$), which is in an excellent agreement with DFT (5.9 kcal mol$^{-1}$). Compared to [7]zethrene (ST gap of 8.9 kcal mol$^{-1}$ by DFT[13b]), the ST gap of cethrene is markedly lower. The decrease of the ST gap can be attributed to the through-space orbital interactions in cethrene and rationalized as follows: in the singlet ground state, the electrons occupy mainly the HOMO (occupation numbers obtained by CASSCF(12,12) are 1.85 for HOMO and 0.15 for LUMO), while in the triplet state, the HOMO and the LUMO are occupied by one electron each. The singlet ground state therefore suffers more from the antibonding interaction in the HOMO than the triplet state and its energy is increased relative to the triplet state. Consequently, the ST gap is decreased. This rational was further supported by computing[13b] the ST gap in a hypothetical planar cethrene (8.0 kcal mol$^{-1}$ by DFT), which is similar to
These findings illustrate that introduction of intramolecular through-space orbital interactions is a useful tool to modulate the HOMO–LUMO and ST gaps in diradicaloid systems. In helical systems such as cethrene, fine-tuning of these gaps can be further achieved by controlling the fjord carbon–carbon distance through steric effects, for example, by installment of suitable substituents at these positions.

‘C’ for Chameleon

During our investigations of the properties of a diphenyl derivative of cethrene, we noticed that this compound is not stable and that it undergoes a transformation to a planar hydrocarbon within just a few hours at room temperature. We hypothesized that the first step of this transformation is an electrocyclic ring-closure leading to a closed-form of cethrene (Scheme 1, bottom panel, upper scheme, R = Ph), an intermediate that is subsequently oxidized by traces of oxygen or an excess of oxidant p-chloranil to give the final flat product. Because of steric constraints imposed by the helical geometry of cethrene, the conrotatory ring-closure is favored over a disrotatory process. According to the Woodward–Hoffmann rules, the thermal conrotatory process should be symmetry-forbidden on account of the antibonding interaction in the HOMO (see Fig. 5), which is an analogous case to the electrocyclic ring-closure of 1,6-dimethyl-1,3,5-hexatriene (Scheme 1, top panel). This mismatch caught our interest and we investigated this process in more detail.

Kinetic studies were performed in order to determine the activation barrier of the thermal process, which was found to be ~14 kcal mol\(^{-1}\). This value is similar to that (~16 kcal mol\(^{-1}\)) obtained by Kubo et al. for an analogous bifenalenylidene system (Scheme 1, bottom panel, lower scheme). Both activation barriers are surprisingly low, considering the forbidden nature of the processes. What is even more surprising is that these barriers are lower than barriers of many electrocyclic processes that are thermally allowed. The reason for the ease of the thermal conrotatory process is the diradicaloid character of cethrene. Since both the HOMO and the LUMO are partially occupied in the ground state, the activation barrier is decreased and the electrocyclic ring-closure of cethrene is ‘allowed’ both thermally and photochemically in a conrotatory mode. This chameleonic character is different from other pericyclic reactions that proceed either thermally or photochemically in a given rotatory mode and places cethrene among a rare type of molecules, such as bifenalenylidene and the first example of this kind, pleiadene, reported by Michl et al.

Our calculations showed that the thermally allowed disrotatory ring-closure of cethrene is thermoneutral or slightly endothermic and its activation barrier is higher by ~4 kcal mol\(^{-1}\) than that of the exothermic C\(_2\)-symmetric conrotatory process (~23 kcal mol\(^{-1}\)). A variety of DFT and wavefunction-based methods gave comparable results, however, all methods failed to match the experimental value (~14 kcal mol\(^{-1}\)). Diradicaloid systems such as cethrene, bifenalenylidene, and pleiadene therefore represent a test for theoretical methods to find the most favorable reaction pathways.

‘C’Oncluding Remarks

The conrotatory electrocyclic ring-closure of cethrene was shown to proceed also photochemically upon irradiation at 660 nm (Scheme 1, bottom panel, upper scheme, R = Ph), in accord with the orbital-symmetry considerations, where the symmetry of the LUMO governs the photochemical process. Interestingly, the photochemical ring-closure of analogous bifenalenylidene did not proceed upon irradiation at 700 nm in the solvent matrix. This process could, however, be reversed upon irradiation at 365 nm as shown by Kubo et al. (Scheme 1, bottom panel, lower scheme). These and our results indicate that this type of helical diradicaloid molecules could serve as switches operated solely by light, where the open and the closed form differ substantially in their optical (HOMO–LUMO gap), magnetic (ST gap), and chiriptical (degree of twist) properties. These molecules therefore hold potential as molecular building blocks of non-metallic materials, where bulk magnetic and conducting properties, archetypal for metals, can be turned on and off by light. Finally, the helical geometry of the molecular building blocks endows them with a potential to be employed as components of enantiomerically pure forms of these materials, which could serve as novel model systems for investigation of effects that arise from the interplay of magnetism and chirality.

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Scheme 1. (Top panel) In accordance with the Woodward–Hoffmann rules, the electrocyclic ring-closure of 1,6-dimethyl-1,5-hexatriene proceeds photochemically in a conrotatory mode (red arrows; governed by the symmetry of the LUMO) to give the trans-product and thermally in a disrotatory mode (blue arrows; governed by the symmetry of the HOMO) to give the cis-product. (Bottom panel) The electrocyclic ring-closure of cethrene (up) has a chameleonic nature as it proceeds in a conrotatory mode both thermally and photochemically. The formally forbidden ‘thermal process is allowed’ because the LUMO is partially occupied in the ground state on account of the diradicaloid character of cethrene. Analogous diradicaloid system biphenalenylidene (down) was also shown to undergo the thermal conrotatory electrocyclic ring-closure with an activation barrier (~16 kcal mol$^{-1}$) similar to that of cethrene (~14 kcal mol$^{-1}$). Although the photochemical process is allowed also in this case, it did not proceed upon irradiation by light in the solvent matrix. The reversed electrocyclic ring-opening process occurred upon irradiation.

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