Data Path Processing in Fast Programmable Routers

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Abstract

Internet is growing at a fast pace. The link speeds are surging toward 40 Gbps with the emergence of faster link technologies. New applications are coming up which require intelligent processing at the intermediate routers. Switches and routers are becoming the bottlenecks in fast communication. On one hand faster links deliver more packets every second and on the other hand intelligent processing consumes more CPU cycles at the router. The conflicting goals of providing faster but computationally expensive processing call for new approaches in designing routers.

This survey takes a look at the core functionalities, like packet classification, buffer memory management, switch scheduling and output link scheduling performed by a router in its data path processing and discusses the algorithms that aim to reduce the performance bound for these operations. An important requirement for the routers is to provide Quality of Service guarantees. We propose an algorithm to guarantee QoS in Input Queued Routers. The hardware solution to speed up router operation was Application Specific Integrated Circuits (ASICs). But the inherent inflexibility of the method is a demerit as network standards and application requirements are constantly evolving, which seek a faster turnaround time to keep up with the changes. The promise of Network Processors (NP) is the flexibility of general-purpose processors together with the speed of ASICs. We will study the architectural choices for the design of Network Processors and focus on some of the commercially available NPs. There is a plethora of NP vendors in the market. The discussion on the NP benchmarks sets the normalizing platform to evaluate these NPs.

I. INTRODUCTION

The last decade has witnessed unprecedented growth in the Internet traffic [?]. At the same time the link capacities across the Internet have also increased. OC-48c (2.5 Gbps) and OC-192c (10 Gbps) links are a reality now. Switches and routers are becoming the bottleneck in fast communication. The role of routers have also become extremely diverse. In access networks, routers connect homes and small businesses to the Internet Service Providers (ISPs). Routers in enterprise networks form the edges of the network serviced by the ISPs and connect thousands of computers from campuses and enterprises. The backbone routers at the core of the Internet connect ISPs using long distance trunks of large bandwidth. The requirements for these routers are different. The backbone routers support routing at very high rate over a few links. The enterprise routers require large number of ports at low cost per port, but need support for a rich set of value-added services. The access routers must support many ports with heterogeneous physical media and a variety of protocols. In addition to it, new Internet based applications with stringent bandwidth and delay guarantees have added to the computing load on a router. In this survey, we will look at the different software and hardware techniques employed to overcome the performance bottlenecks in a router.
Routers used to be implemented in software. A single CPU performed all the data and control related tasks. In a connectionless network like IP, basic data path activity involves looking up the outgoing interface for an incoming packet. The router extracts the destination field from the header of the packet and uses it to perform a Longest Prefix Match against a forwarding database of entries of the form \(<\text{network address}/\text{mask}, \text{egress port}>\). The address lookup involves classification based on a single field in the header. For providing different levels of service to individual flows, it is necessary to perform this classification on multiple fields in the header of a packet to distinguish among the flows. Once the egress port is resolved the packets are routed to the output port over a shared bus, or a non-blocking interconnect. Multiple packets might be competing for the same output requiring a scheduling algorithm for arbitration. In order to give service guarantees, the outgoing link must be scheduled among the flows such that none of their guarantees are violated. This calls for a link scheduling discipline at each output. Each of these functions are complex operations and have to be performed for every packet passing through the router. A software based router has the advantage that it can be easily modified to adapt to changing specifications, but the heavy computations associated with these operations can kill the performance.

One way is to find better algorithms to make the operations faster. An alternative way found its way into the router market with the advancement of IC technology. Application Specific Integrated Circuits (ASICs) can implement many of these operations in hardware and achieve orders of magnitude improvement in speed. So instead of pushing the limits of processor speed, router designers adopted the use of specialized ASICs. The downside of the approach is the inherent inflexibility of the ASIC based design. Once a logic is burnt into silicon it is not possible to modify them. This leads to longer time-to-market of new designs.

The flexibility of software based approach coupled with the speed of ASIC is the holy grail of router design. Network Processor (NP) is the answer to this search. Network Processor is a programmable device that is designed and built with optimized instruction set for networking functions. Software programmability gives flexibility of modification and the optimized instruction set helps to reach the speed of ASIC. The term ‘Network Processor’ is often loosely used to refer to a collection of specialized co-processors for functions like address lookup, flow classification that are often integrated on the same chip with the programmable core.

In this paper, we survey different approaches that aim to boost router performance. On the software side, we will study the algorithms which have improved the runtime complexity of router operations. The Network Processor presents the hardware angle to router performance improvement. We also propose a switch scheduling algorithm which can ensure fair sharing of the bandwidth among the flows destined to an output in an input queued switch/router. The organization of the paper is, in Section II we will discuss the algorithmic solutions to the key router functions. Section III introduces our proposed algorithm for providing QoS guarantees in an Input Queued switch. In Section IV we point out the architectural choices for Network Processors and evaluate designs from some commercial vendors. Section V looks at the need for and the means to distinguish among the slew of NPs currently available. We will conclude the survey in Section VI with our opinion.

II. KEY TASKS IN PACKET PROCESSING

Next-generation routers are expected to support a wide range of applications and functionalities while maintaining the high processing speed. Initially, much of the research had gone into speeding up the forwarding table lookup and switch fabric scheduling for a router. With Quality of Service in the network becoming a sought after requirement, research efforts were directed toward finding efficient solutions for packet classification based on multiple header fields, fast switch fabric scheduling techniques, fair scheduling of the output link and innovative memory architectures to prevent packet buffering and
queueing from becoming a bottleneck. In this section, we will take a look at each of these issues and existing solutions.

### A. Packet Classification

**Problem Statement**: Given a database of filters or rules, packet classification is the task of determining the filter that ‘best’ matches the packet. Suppose there are $K$ fields in the header that must be matched for classification. Then, each filter $F$ is a $K$-tuple $(F[1], F[2], ..., F[k])$, where each $F[i]$ is either a variable length prefix bit string or a range. For example, the filter $F = (130.245.*, *, TCP, 23, *)$, specifies a rule for traffic flow addressed to subnet 130.245 with TCP destination port 23, which is used for incoming Telnet connections. If the firewall database includes this rule it will be able to isolate all incoming Telnet connections, and allow or discard it. Each filter rule in a filter database comprises an array of $K$ distinct fields, where $F[i]$ is a specification for the $i^{th}$ field, and an associated cost. The best match for a packet is decided by, (a) the order of occurrence of the rule in the filter database, (b) assignment of priorities to different filters, (c) assignment of priorities to fields to break the ties in case of multiple matches. For example, in firewall databases, option (a) is adopted.

A packet can match a filter rule $F$ in three ways,

- **Exact match** means matching with the specific value of the field in a filter rule.
- **Prefix match** requires that the value specified in the filter is a prefix of the value in that particular field in the packet header.
- **Range match** is the case when the filter value is specified as a range, for example when specifying a set of port numbers. Any range specification can, however be converted to a prefix-based specification. It has been shown by Feldman and Muthukrishnan that a $W$-bit range can be represented by at most $(2^W - 2)$ prefixes [?].

Of the three types, Prefix Matching is the most commonly used. The two metrics on which the algorithms in this section will be evaluated are,

- **Space Complexity**: The space complexity gives an estimate of the memory footprint required to store the data structures. The bigger the data structures more difficult it is to use faster and more expensive memory technologies to store them, thereby increasing the memory access time.
- **Time Complexity**: The time complexity gives a bound on the maximum number of steps or cycles that are required to perform the classification. This is directly related to the search speed of the classification algorithm.

To enable fast processing on the data path, the most useful algorithms are the ones with the minimum memory usage and the fastest lookup time. The most naive approach in solving the classification problem is to use linear search on all the rules in the filter set. The worst-case storage and lookup time complexity for such a scenario will be $O(N)$. Linear increase with the number of rules presents poor scaling property.
Another hardware option is to use a Ternary Content Addressable Memory (TCAM). In this case, the lookup time is constant, $O(1)$, but space complexity remains $O(N)$. TCAMs are expensive memories with limited capacities. Hence in routers where thousands of rules are stored, it is not a viable solution. The theoretical bounds for the classification problem is obtained from the domain of computational geometry. It can be framed as a point location problem in multi-dimensional space \cite{1}. The best bounds for point location in $N$ rectangular regions and $d > 3$ dimensions are $O(\log N)$ time with $O(N^d)$ space, or $O((\log N)^{d-1})$ time with $O(N)$ space. This poly-logarithmic time bounds are not practical for use in high-speed routers. For example, with 1000 rules and 5 fields, either the number of memory accesses is 10,000 per packet, or the space requirement is 1000 GB.

As stated earlier, any range specification can be converted to prefix-based specification, therefore for the rest of this section, without loss of generality we will refer to the rule database in Table I throughout the discussion. In Table I, $R_j$ refers to a rule and $R_{j1}$ and $R_{j2}$ refers to the two fields for each rule. The most popular data structure for performing fast lookup is Patricia Trie \cite{2}, which is a binary branching tree with each branch labeled 0 or 1. Extension of a 1-dimensional trie to multiple dimensions is done by building the trie for dimension-1 (F1) and each valid prefix in F1 points to a trie containing the prefixes of dimension-2 (F2). This is shown in the Figure 1(a). The storage cost for this trie is $O(NdW)$, where $N$ is the number of rules, $d$ is the number of dimensions and $W$ is the maximum bit length of a prefix. The lookup is done in a depth-first traversal which gives a lookup complexity of $O(W^d)$. Instead of a DFS approach, breadth-first search (BFS) is proposed by Varghese et al. \cite{3}, which can reduce the runtime memory requirement for the algorithm. However, the linear complexity for space and polynomial complexity for lookup time is not ideal for high speed data forwarding. A way to speed up the search procedure in Hierarchical Tries was proposed in \cite{4} by preventing backtracking with the use of Switch Pointers. Switch Pointers are edges labeled 0 or 1, and directs the search process to the next trie without backtracking. This scheme can only work in 2-dimensional classification where the lookup time is reduced from $O(W^2)$ to $O(W)$. Yet another way of speeding up the lookup can be by replicating rules to avoid backtracking. This is called a Set Pruning Trie and is shown in Figure 1(b). The storage complexity blows up to $O(N^dWd)$. In summary, use of tries leads to polynomial complexity solutions either in terms of space or query processing. Another solution to the multi-dimensional classification problem was proposed by Srinivasan et al. \cite{5}, which is called cross-producting. The basic idea is to do a 1-dimensional lookup for each chosen field in the packet, and then compose the results to get the entry from a precomputed table of lowest cost filters. The table computation involves generating all possible combinations of filters by cross-producing individual prefixes in each dimension. The query processing
| Rule | Specification | Tuple |
|------|---------------|-------|
| R1   | (00*, 00*)    | (2, 2) |
| R2   | (0**, 01*)    | (1, 2) |
| R3   | (1**, 0**)    | (1, 1) |
| R4   | (00*, 0**)    | (2, 1) |
| R5   | (0**, 1**)    | (1, 1) |
| R6   | (***, 1***)   | (0, 1) |

**TABLE II.** Mapping from RulesSet to Tuples

| Tuple | Hash Table Entries |
|-------|--------------------|
| (0, 1) | {R6}               |
| (1, 1) | {R3, R5}           |
| (1, 2) | {R2}               |
| (2, 1) | {R4}               |
| (2, 2) | {R1}               |

**TABLE III.** Hash Table Entries based on Table IV

| Database | Size | Tuples | Pruned Tuples |
|----------|------|--------|---------------|
| Fwal-1   | 278  | 41     | 11            |
| Fwal-2   | 158  | 28     | 6             |
| Fwal-3   | 183  | 24     | 7             |
| Fwal-4   | 68   | 15     | 5             |

**TABLE IV.** The worst-case number of hash probes produced by the Pruned Tuple Search Method.

Attempts to solve the most general cases of the multi-dimensional classification problem lead to expensive worst-case solutions. But worst-case behavior is not a frequent occurrence in real world classifiers. There is considerable amount of structure and redundancy which can be exploited to come up with intelligent heuristics as we will find out. We study three heuristic based solutions here.

A simple observation that in most real rule sets the number of distinct field lengths used is always small is the key to the algorithm, called **Tuple Space Search** proposed by Srinivasan et al. [10]. The entire rule set is broken up into sets, called tuple space based on the length of the individual prefixes in each rule. Each d-dimensional rule maps to one of the d-tuples, where the \( i^{th} \) field of the tuple is the length of the \( i^{th} \) dimension of the rule. An example of generating such tuple space is shown in Table II and Table III. Each rule is now stored in a hash table corresponding to the set it maps to. The storage complexity in this case is still \( O(N) \), but the advantage comes from a faster query processing time in the average case, where it has to do \( M \) hashed memory accesses, \( M \) being the number of tuples and is definitely less than \( N \).

The authors suggest an improvement over this approach, which they call **Tuple Pruning**. This heuristic is based on an observation that in real filter databases there are very few prefixes of a given address. This observation is utilized during a query by first doing individual longest prefix matching in each dimension, and then searching only those tuples that are compatible with the individual matches. The authors have reported the effect of Tuple Space Pruning on some real firewall databases, as shown in Table IV.

Srinivasan has suggested a different approach to tuple pruning, which is called **Entry-Pruned Tuple Space Search** [11]. In this case, with each entry \( E \) corresponding to a tuple, some information is maintained as a bitmap which tells which other tuples need to be searched instead of doing a linear search. Only those tuples that have at least one filter that does not contradict with a current match \( E \) in any of the specified bits need to be looked at. The bitmap associated with each entry is \( T \) bits long, where \( T \) is the number of tuple entries. The bitmap has to be precomputed by checking all filters that does not contradict \( E \). Though the naive approach for this precomputation takes \( O(N^2) \) time, the author has proposed ways to do it using only \( O(T \cdot N) \) time and \( O(T \cdot N) \) memory.

The key observation for the **Recursive Flow Classification** [12] is that the number of overlapping
regions for a dataset is considerably smaller than the worst-case value, which can be $O(N^d)$. Thus for a rule instead of mapping it to one of the $N^d$ possible cases one needs to search through a much reduced set. The problem therefore boils down to one of mapping $S$ bits in the packet header to a $T$ bit identifier, where $T = \log N$ and $T \ll S$. One impractical way for this is to precompute the value of the identifier corresponding to each of the $2^S$ different packet headers. This leads to a solution in one memory access at the expense of unreasonable amount of storage. The solution proposed by the authors is to do the same reduction recursively over a fixed number of phases. The main steps in the algorithm are,

- In the first phase d-fields of the packet header are split into multiple chunks of fixed number of bits that index into multiple memories in parallel. Each of the parallel lookups yield an output which is an identifier. For example, let us assume we are using the 16-bit port number field as a chunk-size unit and the port specifications used in the rules are \{80\}, \{20,21\}, \{>1023\}, \{remaining integers between 0-65536\}. Then we can encode this information using only 2-bits to denote the mutually exclusive sets \{20,21\}, \{80\}, \{1024-65536\}, \{0-19, 22-79, 81-1023\}. Thus we can reduce from a 16-bit information to a 2-bit information based on the classifier rules. The key goal in each phase is to ensure that the result of the lookup has to be narrower than the index of the memory access.
  - In the subsequent phases, the index into each memory is formed by combining the results of the lookups from the previous stage.
  - The last stage gives only one result which is the identifier that maps to a particular rule.

A pictorial depiction of how the algorithm works is shown in Figure 2. With real-life 4D classifiers of up to 1700 rules, RFC appears practical for 10 Gbps line rate in hardware and 2.5 Gbps in software.

The idea behind the **Hierarchical Intelligent Cut** (HiCut) algorithm, proposed by Gupta and McKeown is essentially partitioning the complete search space of the classifier rules into smaller spaces comprising fixed number of rules. The partitioning is based on heuristics that is determined by the structure of the classifier. Hence preprocessing stage that builds the search tree is the key feature in the solution. At the beginning of the tree building, the root node contains all the rules. In every phase, based on the heuristics we have to choose one dimension, $dim$, and the number of partitions to divide that dimension into, $np(C)$. Hence each internal node represents a subset of ranges of each dimension, and rules are accordingly placed in them. Finally, the partitioning stops when the leaf nodes have no more than a fixed number of rules, which can be linearly searched during a query. An example HiCut tree based on the Table I is shown in Figure 3.
Although this is slower than the best known poly-logarithmic solutions, the authors contend that the first has to preprocess the filter rules to build a set of bitmaps that directs the search. In the preprocessing, dimension followed by a linear complexity combining step [?], which is called Bitmap Intersection. Although this is slower than the best known poly-logarithmic solutions, the authors contend that the simplicity of the solution makes it ideal for parallelizing and for implementing in hardware. The algorithm first has to preprocess the filter rules to build a set of bitmaps that directs the search. In the preprocessing,
| Algorithm                  | Worst-case Execution |
|----------------------------|-----------------------|
|                            | Time Complexity       | Storage Complexity |
| Linear Search              | N                     | N                   |
| Ternary CAM                | 1                     | N                   |
| Hierarchical tries         | $W^d$                 | $NdW$               |
| Set-pruning tries          | $dW$                  | $N^d$               |
| Cross-producting           | $dW$                  | $N^d$               |
| RFC                        | $d$                   | $N^d$               |
| HiCuts                     | $d$                   | $N^d$               |
| Tuple Space Search         | N                     | N                   |
| Bitmap intersection        | $dW + N$/memwidth     | $dN^2$              |

TABLE V. A comparison of different multi-dimensional classification algorithms.

all the intervals belonging to a dimension, say $j$, is projected on to the $j^{th}$ axis, leading to a maximum of $2n + 1$ non-overlapping intervals. Now, for each interval, a bitmap of $N$ bits is created denoting if the rule belongs to that interval. Figure 4 illustrates the bitmap for Table I.

The search procedure proceeds by first selecting the packet header field for each dimension, and then using binary search to locate the interval it belongs to. Next, we find the conjunction of the corresponding bit vectors in the bit arrays associated with each dimension and choose the highest priority entry in the resultant bit vector to set the solution. It is assumed that the rules are in decreasing priority. The overall approach being simple the only hardware elements that are required for binary search operation is an integer comparator, and the only operation for the intersection is parallel AND operation. The complexity of the algorithm for search time is $O(dt_{RL} + dN/w)$ and $O(dN^2)$ in storage, where $t_{RL}$ is the time for range lookup in one dimension and $w$ is the memory word length. The experiments with this solution provides that the scheme can support up to 512 rules with a 33 MHz FPGA and five 1 Mbit SRAM, classifying 1 Mpacket/sec.

An optimization for this algorithm is proposed by Varghese et al., which is called Aggregate Bit Vector [7]. The main idea is that for each basic interval in one dimension number of rules may be few. The $N$ bit vector formed is therefore sparse, having 0 in most bit positions. Since, the query time of the bit-vector algorithm depends on the memory word length, so reducing the amount of reads will make the searches faster. The idea is to compress each $N$ bit-vector by replacing every $m$ consecutive bits with a 0 if all the $m$ bits are 0s. For example, a bit vector 000011110000 can be replaced by the Aggregate Bit Vector 010, assuming granularity of compression is 4.

The summary of the discussion is shown in Table V. From Table V, it can be concluded that Ternary CAMs are the best solution for classification. If the forwarding tables in a router are reasonably small, TCAMs can be used for speeding up the router. But the linear storage complexity is its main downside. The best worst-case bound that is achievable for storage is $O(N)$ for the other approaches too. However, with heuristic approaches like Tuple Space Search with the same storage complexity we can get a better average case time complexity than linear search.

B. Buffer Management Schemes

Buffering of packets is a key operation in a packet switch. A fast switch/router design needs to take into account the buffer management schemes so that the memory bandwidth does not become a bottleneck in high speed processing. The ways to overcome memory bottleneck using existing DRAM and SRAM
technologies involve, (i) coming up with intelligent buffering schemes that reduce the aggregate memory bandwidth requirement, and/or (ii) designing novel memory architectures that can reduce memory access time. In this subsection, we will first take a look at the various buffering schemes, pointing out the trade-offs for each of them, and then discuss two novel memory architectures that enable fast packet buffers.

The simplest buffer design is to connect the line cards to a shared backplane and write all arriving packets to a pool of shared buffer memory where they wait their turn to be sent out on the outgoing link. A shared memory architecture is attractive because it can achieve 100% throughput, minimize average queueing delay and makes it easier to guarantee quality of service. But the shared backplane or the shared buffer memory must have sufficient bandwidth to accept packets from and write packets to all the line cards in a single time slot. In other words, the shared bus and the shared memory for a router with $N$ line cards each connected to a line of rate $R$, must have a bandwidth of $2NR$. For a 10 Gbps (OC-192c) link and a 16 port switch, the bandwidth required is 320 Gbps. Existing memory technologies cannot support this rate. This design in essence is equivalent to Output Queueing (OQ), where when a packet arrives it is immediately placed in a queue that is dedicated to its outgoing link. One choice is to have dedicated memory on each line card for holding packets that will go out through this outgoing link. The individual memory bandwidth requirement in one time slot is $(N + 1)R$ to allow for $N$ writes from the $N$ inputs and 1 read for sending out a packet.

An alternative is that the buffers on each line card hold every packet on arrival at the input port. Every time slot a non-blocking switch fabric (crossbar switch) must direct the packets to its output port. This buffering scheme is called Input Queueing (IQ). This requires the bandwidth of each line card memory to be $2R$ and that of the switch fabric to be $NR$. Input Queueing can suffer severely from head-of-line (HOL) blocking. If there are packets at the head of the queue destined to an output which is busy, then packets later in the queue cannot be sent out even if its outgoing link is free. This can severely affect the throughput. If each input maintains a single FIFO, then HOL blocking can limit the throughput to just 58.6% [?]. One way to improve the throughput is to increase the speed of the switch fabric by a factor of $S$, where $S$ denotes the number of packets that can be transferred in one time slot\(^1\) from the input to the output. If $S = N$, it is equivalent to Output Queueing. However, even with $S = 1$, it is possible to achieve 100% throughput if we use Virtual Output Queueing, in which each input maintains a separate queue for every output.

Input Queueing can make switches run faster, but Output Queueing is the design of choice for implementing packet scheduling schemes\(^2\) with guaranteed QoS. The challenge therefore is to come up with a buffer management mechanism such that we can get identical behavior as OQ-ing without incurring the high memory bandwidth requirements associated with it. The two values, 1 and $N$ of the parameter ‘speedup’ ($S$) presented two ends of the spectrum. If we can buffer packets both at the inputs as well as at the outputs after switching, then different values of $S$, $1 \leq S \leq N$, should give different throughputs. This scheme is called Combined Input-Output Queueing (CIOQ). In CIOQ the challenge is to determine the smallest value of $S$ and an appropriate cell\(^3\) scheduling algorithm. It was shown by Chuang et al. [?] that a $N \times N$ CIOQ switch with a speedup of 2 can exactly emulate a $N \times N$ OQ switch with either FIFO scheduling or any other scheduling, like WFQ or strict priority. The key to the result is the scheduling algorithm, which decides the order in which the cells at the input are transferred across the switch fabric to the output in such a way that the cells are sent out on the output link at the

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\(^1\)One time slot is the time between packet arrivals at input ports.

\(^2\)We will look at them in Section II-D.

\(^3\)Packets are usually segmented into fixed-sized cells before switching and reassembled before departure.
same time as in an OQ switch. This in turn is dictated by the order in which the cells will be inserted into the input queue. So in [?], the authors have described an insertion policy, called Critical Cells First (CCF). The intuition is to defer the transfer of an arriving cell across the switch as long as possible by inserting it as far from the head of its input queue as possible. For this it calculates the priority of the cell at the output port, $OP(c)$. Assuming the $OP(c) = X$, the cell is inserted at the $(X + 1)^{th}$ position in the input list. The input priority, $IP(c)$ is thus set to $(X + 1)$. Now, slackness, $L(c)$ is defined as $OP(c) - IP(c)$. One time slot is broken up into 4 phases: arrival of cells at the input, scheduling of cells from input to the output, departure of cells from the outputs, and the second schedule. This requires a speedup of 2. The slackness can never decrease as a net effect of the 4 phases, therefore, slackness cannot decrease from one time slot to another. This means that when a cell is supposed to leave, i.e. the $OP(c)$ has become zero, then $IP(c)$ must also be zero. The cell is thus at the head of the input and the output priority list. In this case, the stable matching algorithm is guaranteed to transfer it to its output during the time slot, and therefore the cell departs on time.

A separate class of buffering schemes, where only one stage of buffering is used, unlike CIOQ (IQ and OQ can also be considered in this category) have been modeled and analyzed in a recent work by Iyer et al. [?]. Single stage buffering covers a wide variety of schemes starting from the use of Parallel Shared Memory to Distributed Shared Memory for buffering. A novel example of the SB architecture is the Parallel Packet Switch (PPS) design [?], shown in Figure 5. The architecture is based on output-queued switches and resembles a Clos Network with buffering present only at the center stage. The main idea is to use memories running at a slower pace than the line rate by doing load balancing or inverse multiplexing across the slower switches. The internal links now run at rate $(R/k)$, where $R$ is the external line rate and $k$ is the number of internal stages. Again, the goal was to mimic the FCFS-OQ switch and an OQ switch that can support different scheduling disciplines. It was shown that a speedup of 2 is needed to achieve the first goal, and a speedup of 3 is required for the second. The analysis is based on understanding the constraints while choosing the intermediate layer to buffer the packet. The layer chosen should be such that no other packet is being written to it and no other packet is being read from it at the same time when the packet will be written to it or when it is time for the packet to be read out. This constraint set technique of analysis has been dealt in detail in [?].
Table VI summarizes the requirements of the different buffering schemes discussed so far. Although output queueing and shared memory architecture presents the theoretically best solution, it is infeasible in terms of memory bandwidth requirement. CIOQ gives the best balance between bandwidth requirement and reaching the goals of guaranteed service.

Unlike PPS, which makes use of memories running slower than the line rate, the following efforts were directed at designing faster memory architectures. Joo and McKeown proposes the idea of ping-pong buffering [7], which is similar to memory interleaving. It uses two conventional single-ported memories and allow only one operation to each physical memory in a timeslot. This leads to an effective doubling of the memory bandwidth. The architecture for ping-pong buffering with cells queued in it is shown in Figure 6. The scheme might lead to a state when even though some memory is available it can cause an overflow. It happens on a packet arrival when one bank is full, and the other non-empty bank is being read. It was shown through simulations that in the presence of bursty traffic such conditions are frequent and authors claim that an extra 5% of memory can prevent this from happening.

Another innovative scheme for speeding up packet buffers, called the Earliest Critical Queue First...
Fig. 8. The diagram shows the equivalence of the switch fabric scheduling with the bipartite graph matching problem.

- Memory Management Architecture (ECQF-MMA) [?] is proposed by Iyer et al. They come up with an intelligent scheme of building a buffer memory comprising large, slow, and low-cost DRAMS along with small, fast but more expensive SRAMS. The architecture is shown in Figure 7. Here the SRAMs act like a cache and holds the tail (ingress) and the head (egress) of each FIFO queue present in the switch. When \( b \) cells have accumulated in the ingress SRAM it is written to the DRAM, and when a read request is issued \( b \) cells are read at a time from the DRAM. It is shown that for this scheme to work the minimum SRAM size required is \( Q(b - 1) \), where \( Q \) is the total number of FIFO queues. The authors also prove that any sequence of requests from a scheduler, e.g. a switch scheduler can be serviced with a bounded delay of \( (Q(b - 1) + 1) \) time slots. This is done by using a lookahead list of service requests and issuing reads to the DRAM for queues that will be drained from the SRAM earliest.

C. Switch Fabric Scheduling

In the last subsection, we saw that buffering incoming packets at the input is a popular design decision because of the reduced memory bandwidth. These packets must be routed to their respective output ports at the ‘correct’ time. The inputs and the outputs are usually connected by a non-blocking switch fabric like a crossbar interconnect. Every time slot the crossbar must be configured to match a non-empty input to an output. The goal of a scheduling algorithm is to maximize the switch throughput by coming up with the best possible match. For buffering schemes which need to provide guaranteed service controlling the delay of individual packets is also important. We will see how, in case of CIOQ, the choice of inserting a packet into the input queue can satisfy the second goal and result in different scheduling algorithms.

The important metrics for judging a switch scheduling algorithm are,

- **Efficiency**, which is determined by the throughput of the switch using this algorithm. The throughput of a switch is defined as the number of packets that the switch can transfer in one time slot.
- **Fairness**, which ensures that the algorithm services packets from every input queue in a fair manner without starving any queue.
- **Implementational Simplicity** requires that the algorithm be suitable for hardware implementation. This is a useful feature for high speed switch design where millions of packets need to be scheduled through the switch core every second.

In a non-blocking crossbar interconnect \( N \) inputs are forwarding cells or fixed-sized packets to the \( N \) outputs, where more than one packet can be destined for the same output. The problem of scheduling can be modeled as a matching problem in a bipartite graph, as shown in Figure 8. Maximum size matching or maximum weight matching, if weights can be assigned to the edges, gives the optimal configuration.
for a time slot. The weights can be some sort of a state indicator for the input, for example, the length of the queue at the input, or the age of the oldest cell held at the input. The complexity for maximum weight matching (MWM) is $O(N^3 \log N)$ [?], and for maximum size matching (MSM) it is $O(N^{5/2})$ [?], where $N$ is the number of inputs and outputs. The execution time is too high for use in high speed packet switching. The main research focus has been to come up with heuristics that can solve MSM or MWM in a fast and easily implementable manner.

A comprehensive survey of a number of switch scheduling algorithms is presented in [?]. For completeness, we will highlight the major solutions, and discuss developments of an emerging class of scheduling schemes based on randomized algorithms. The three main steps in switch scheduling as pointed out in [?], are (i) the computation of the weight matrix (in cases where the algorithm tries to approximate the MWM solution, otherwise for MSM the weight of all the edges are assumed equal), (ii) selection of the heuristic scheme, (iii) the resolution of contention among inputs/outputs.

A set of algorithms that closely matches throughput of the MSM approach are,

- **Parallel Iterative Matching (PIM)** [?], developed by DEC Systems Research Center, uses random selection among inputs and outputs to ensure that none of the inputs are starved for a share of the switch fabric, which is one of the main pitfalls in the MSM solution for scheduling. The algorithm works in 3 basic steps,

  **STEP 1. Request**, where each unmatched input sends a request to every output for which it has a cell to send.

  **STEP 2. Grant**, where an unmatched output randomly selects one of the inputs who has sent a request to it, and replies with a grant.

  **STEP 3. Accept**, where an input that has received grants from more than one output will randomly pick an output among the ones which has sent back grants.

In [?], the authors have shown that the algorithm converges to a maximal match in $O(\log N)$ iterations. But in fast switches, number of iterations often need to be restricted to just 1. For 1 iteration PIM gives a throughput of 63%.

- **2 Dimensional Round Robin (2DRR)** is different from PIM in the resolution of the conflict among contending inputs and outputs. Each output in 2DRR maintains a round-robin arbiter for the inputs and vice-versa for choosing the output at each input. When a request arrives at an output, it ‘grants’ the input that appears next in a fixed, round-robin schedule starting from the highest priority element, and the pointer in the round-robin table is advanced to the next element. The input takes a similar approach in choosing which output to send out the packet to by picking the highest priority element from the round-robin list of the outputs. This algorithm fails to give good throughput at high loads because of the synchronization of the grant pointers. When inputs are saturated with packets for all the outputs, the grant pointers advance in lock-step, leading to a maximum throughput of 50%.

- **iSLIP** algorithm [?], proposed by McKeown et al. improves on Round Robin Scheduling to achieve 100% throughput under uniform saturated load. It breaks the synchronization by advancing the grant pointer only if the grant is accepted by the input.

The algorithms discussed so far have iterative solutions. In actual implementation, PIM executes 4 iterations in each time slot. With more iterations there is an improvement in throughput for all these algorithms, as shown in a quantitative survey in [?].

Another class of algorithms for scheduling try to get approximate solutions to the MWM problem. The MWM solution provides better fairness among the inputs. The algorithms in this category differ in the computation of the weights associated with each edge in the input graph. The weights can be decided by different metrics at the input or output side. In the **Oldest Cell First (OCF)** algorithm [?] the waiting
time of the Head-of-Line cells is used as the weights in the weight matrix. The algorithm tries to find the Maximum Weight Match based on this weight matrix. In the Longest Queue First (LQF) algorithm[?] the weight of an edge in the weight matrix represents the number of cells held in each queue at the input. It uses this Weight Matrix to solve the MWM problem. This is also an iterative solution. Though this is a simple and stable solution, iLQF can lead to starvation in some cases. Moreover, it was pointed out that implementing LQF in hardware is too complex. The Longest Port First (LPF) was suggested by McKeown et al. to overcome the complexity problems of LQF. The key idea of the LPF algorithm is to service the queues with the highest port occupancy. At every time slot, say at the $n^{th}$ slot, port occupancy is calculated as $R_i(n) + C_j(n)$, where $R_i(n)$ is the total number of cells currently buffered at input $i$ and $C_j(n)$ is the total number of cells at all inputs waiting to be forwarded to output $j$. Although weights are used, it is proved that LPF can be reduced to a MSM problem and an iterative solution suitable for hardware implementation is easy to formulate.

Using randomized algorithms to come up with the best match is another approach. The basis for this method stems from the observation that there is some sort of temporal correlation in the sequence of matchings. The matching at one time slot is generated as a random variation of the matching in the previous time slot because it can be safely assumed that under moderate or high loads the weighing factors will not change from one match to the next. The idea was shown to work by Tassiulas[?]. The approach can be summarized as, at time $t+1$ choose a matching $R$ at random from a set of $N!$ possible matchings, and compare it with the previous matching. If it has a weight greater than the previous matching use it as the current match. This approach achieves a maximum throughput of 100%, but can lead to high delays. Prabhakar et al. improved on Tassiulas’s algorithm by noting that a small number of edges, say $m$ ($m < N$) contributes to the bulk of the weight of a matching. So keep these $m$ edges and pick the remaining ($N - m$) edges randomly. As explained in their algorithm, called LAURA[?] they use the matching at time $t - 1$ to select a set of edges that contributes to a proportion of the total weight and then selects the remaining input/output matches randomly. These randomized algorithms are appealing for their simplicity because they can achieve a complexity linear with the number of input/output ports.

The algorithms discussed so far are focused at increasing the switch throughput, but do not talk about giving a QoS guarantee to the flows. With buffering at the input, scheduling algorithms need to take care of that as well. One way is to distinguish among flows while choosing a match. All connections from an input can be bundled into one group and provided a fixed share on the output. This is done in the Weighted Parallel Iterative Matching (WPIM)[?] algorithm by Varma and Stiliadis. It augments the PIM algorithm with an extra step of masking before grant replies are sent back. In this scheme, each input-output connection requests a credit which is the fraction of the bandwidth desired by this input on the output link. Before giving a grant, those inputs which have received their share are ruled out from selection consideration. This gives the guarantee to every connection from a specific input that they will receive their share of the bandwidth.

D. Packet Scheduling over Output Link

In best-effort service packets are dispatched in a First-Come-First-Serve (FCFS) order. The integrated services, which support voice, video and other real-time data traffic, require QoS guarantees. The shared resource, in this case the outgoing link, must be allocated to packets from different flows according to each flows’ reservations or service level agreements (SLAs). In this subsection, we will discuss the class of algorithms that have addressed the problem of scheduling packets over the outgoing link. Most of these scheduling algorithms assume an output queued switch model. Later in this section, we will also look at two solutions that address the packet scheduling problem in the context of CIOQ switches.
The link scheduling algorithm should be able to give guarantees on parameters like average throughput, end-to-end delay, delay jitter. More parameters an algorithm can handle, more flexible is the algorithm. Another important criterion is to guarantee that rogue flows do not disturb the well-behaved flows, or when there is leftover bandwidth after meeting the guarantees, it is fairly distributed among the remaining backlogged flows. All scheduling algorithms must have a bounded fairness compared to the ideal case. We are dealing with millions of flows when scheduling. Hence the algorithms should scale to tackle such large number of flows at the required high speed. Finally, as these algorithms will run on the high speed data paths, implementation simplicity is a desired feature. We will see that there are two main classes of link scheduling algorithms, ones that are based on the conceptual model of Fluid Fair Queueing (FFQ), and the other based on Round Robin Scheduling.

Virtual Clock algorithm similar to Time-Division Multiplexing (TDM) was proposed by Lixia Zhang[1]. The Virtual Clock algorithm takes the approach of timestamping each arriving packet with a virtual transmission time based on the flow’s reservation. Packets are transmitted in the increasing order of their virtual transmission times. The Virtual Clock algorithm ensures that the transmission maintains a strict delay bound, but it can perform badly in ensuring fairness among the backlogged queues. Lack of a system-wide parameter to keep track of the total service each flow would have received can lead a backlogged session in the Virtual Clock discipline to be starved for an arbitrary period of time. Using the excess bandwidth during periods when other flows had no packet to send leads to this state.

The conceptual model for packet scheduling is based on a Fluid Fair Queueing Server [2]. Each of the $N$ flows are characterized by $N$ positive real numbers, $\phi_1, \phi_2, \ldots, \phi_N$, which denote the respective share of the total channel capacity $C$. During any time interval $[\tau_1, \tau_2]$, if there are $N$ backlogged flows each of them are serviced simultaneously in proportion to the weights. The service received by a flow $n$ in time interval $[\tau_1, \tau_2]$ is given by,

$$r_n(t) = \frac{\phi_n}{\sum_{j \in B(\tau_2)} \phi_j} C(t), t \in [t_1, t_2]$$

(1)

where $B(\tau_2)$ denotes the set of backlogged queues and $C(t)$ is the link-speed which can be variable. In a real switch, the unit of transmission is usually chosen as one packet. The packetized version of the FFQ server aims to minimize the difference in service offered to each flow compared to FFQ. There are two main operations for any scheduler trying to emulate FFQ. First, it has to keep track of the total service each flow would have received can lead a backlogged session in the Virtual Clock discipline to be starved for an arbitrary period of time. Using the excess bandwidth during periods when other flows had no packet to send leads to this state.

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Weighted Fair Queueing (WFQ) [3] simulates the FFQ server to track the system virtual time. The system virtual time is updated every time a packet departs. FFQ server can service $N$ flows within this
time. Hence update of the system virtual time in the worst case is an $O(N)$ operation. On arrival of a packet to a flow, it is stamped with the virtual finish time, which is used to insert it into a priority queue for dispatch. This takes $O(\log N)$ time. WFQ gives tight delay bound compared to FFQ. It has been shown that the maximum delay for a packet in WFQ is always within one packet transmission time of that of FFQ. But WFQ is unsuitable for implementing in a fast switch because when millions of flows are present the $O(N)$ time complexity becomes a bottleneck.

Other approaches have tried to break the $O(N)$ bottleneck by choosing different ways to calculate the finish time at the cost of loosening the delay bounds. In Self-Clocked Fair Queueing (SCFQ) [?], Golestani uses the finish time of the packet being serviced for estimating the system virtual time. In contrast, Start-Time Fair Queueing (SFQ) [?] uses the start time tag on each packet as the priority index to decide the departure schedule. A combined approach is used in Minimum Starting-Tag Fair Queueing (MSFQ) [?] where packets are sent out in increasing order of their finish times, but system virtual time is updated to the minimum of the start time of all the backlogged flows. The complexity for all these approaches is still $O(\log N)$.

Stiliadis and Varma presented a methodology for designing scheduling algorithms that provide the same end-to-end delay bound as that of WFQ and bounded fairness, but reduces the complexity of the algorithms [?]. Similar to the system virtual time, the Rate Proportional Server (RPS) methodology defines the concept of system potential $P(t)$ at time $t$, which keeps track of the state of the system. Each connection is associated with a connection potential, which keeps track of the normalized service received by the connection during a busy period, plus any normalized service it missed during the period it was idle. The definition of RPS only specifies the constraints on the system potential, but no exact method is specified for maintaining it. This helps it to encompass different algorithms in this class. The constraints on $P(t)$ are, (i) in a busy period the system potential must increase to match the increase in the normalized service given to the backlogged queue, and (ii) $P(t)$ is always less than or equal to the potential of all backlogged sessions at any time $t$. Having said this, it should be noted that RPS class of algorithms are still bounded by the $O(\log N)$ time complexity.

So far we have seen the scheduling algorithms that are based on FFQ. They present a constant delay bound, but their runtime complexity is bounded by $O(\log N)$. Now we will look at the other class of schedulers based on Round Robin scheduling. It maintains priority classes corresponding to different quality of service guarantees, and traffic is split based on their reservations into one of these priority classes. This gives a class-based guarantee (not per-flow) and may starve low priority traffic. The advantage is that scheduling complexity becomes $O(1)$, but the delay bound is of the order of the number of flows, i.e. $O(N)$.

Weighted Round-Robin assigns a weight proportional to the bandwidth requirement of the flow to each queue. The scheduler sends packets from the queue till its time share expires. The Deficit Round Robin (DRR) scheduling, proposed by Varghese et al. [?] extends the idea to include a credit based round robin. A queue which has a reservation but is idle at present can accumulate credits for the future interval. So in the long-term the service received by the flow is proportional to its reservation. However lack of short-term fairness implies bursty traffic. Smoothed Round Robin [?] proposed by Guo gives short-term fairness and better schedule delay bound than DRR, besides keeping the $O(1)$ complexity. The cause for burstiness in DRR is that multiple packets may be sent from one flow to fulfill the bandwidth guarantee. Instead in SRR, only one packet (packets are assumed equal-sized) from each flow is dispatched at a time, and in one round the flow gets to send $k$ times, where $k$ is proportional to its reservation. Assuming 4 flows, the schedule may look like \{f3, f2, f3, f4, f3, f2, f3, f1, f4, f3, f2, f3, f4, f3, f2, f3\}, where the weights for f1, f2, f3, and f4 are 1, 4, 8, 3 respectively. In a similar earlier work [?], Prashant Pradhan had presented a scheme called Discretized Fair Queuing (DFQ). In his formulation, he chooses a granularity
parameter $T$ and builds a round by selecting from each flow $(w_iT)$ bits to send, where $w_i$ is the weight of the $i^{th}$ flow. DFQ explains how to implement such a scheduler because it may involve fragmenting a packet into multiple $(w_iT)$ sized chunks. It shows that for any two flows with parameter $T$, over any interval of time when both flows are backlogged, the normalized service received is bounded by $2T$. DFQ seems to present a more practical setting for a SRR like scheduling algorithm.

We have pointed out in Section II-C the limitation of OQ-ing with respect to memory bandwidth requirement. CIOQ switches presented a suitable alternative. Stephen and Zhang designed a scheduling algorithm for CIOQ switches with QoS guarantees. The Distributed Packet Fair Queueing (D-PFQ) [?] algorithm places Fair Queueing Servers at the three contention points: inputs, outputs and the crossbar because to meet a packet’s deadline it must be fairly scheduled at all these points. This setup requires $(N^2 + 3N)^4$ PFQ servers. In practice we need $N + 1$ servers, as the $N$ servers at one input and the server at the ingress to the crossbar can share the same PFQ server. Now packets destined to an output $j$ is arriving from all the $N$ input ports. Therefore, $N$ PFQ servers at the input and one server at the egress of the crossbar, i.e. $N + 1$ servers must be coordinated to emulate a single PFQ server at the output of an OQ switch. The difficulty is each of the $N + 1$ servers have separate system virtual times, but we need to normalize these $N + 1$ different times to compare them. This is done by maintaining an offset value at the entry and exit to the switch core, which is used to calculate the normalized timestamp.

The complexity of managing $N + 1$ servers can be avoided if somehow it is possible to generate the order in which the packets are going to depart from an output queued switch. This was addressed by Neogi in the Physically Input Queued and Logically Output Queued (PILO) architecture [?]. In the PILO architecture, for every incoming packet the arrival time and the flow identifier is transferred to the output, while the actual packet is held at the input buffer. Using the metadata the output, which is running a fair queuing server, can generate the departure order. The centralized switch scheduling algorithm uses the order at the outputs to select the matching between the inputs and the outputs during each time slot.

III. SWITCH SCHEDULING ALGORITHM WITH QoS GUARANTEE FOR INPUT-QUEUED SWITCH

In Section II-C we have seen that input buffered switches are preferred for their low memory bandwidth requirement. But most of the scheduling algorithms dealing with Quality of Service (QoS) assume an output buffered switch, as we have seen in Section II-D. There have been some efforts, like the WPIM algorithm [?], which have tried to give a port based bandwidth guarantee. In this section our goal is to explore the possibility of providing QoS guarantees for input buffered switches. We will present an extension to the iSlip algorithm [?] that can provide fairness in terms of sharing the bandwidth among the flows destined to the same output, and also bound their delay to $O(N)$.

A. Proposed Algorithm

The three main steps in the iSlip algorithm are,

- **Request:** Each input sends a request to every output for which it has a queued cell.
- **Grant:** If an output receive any requests, it chooses the one that appears next in a fixed, round-robin schedule starting from the highest priority element. The output notifies each input whether or not its request was granted. The pointer to the highest priority element of the round-robin schedule is incremented to one location beyond the granted input if and only if the grant is accepted by an input in the next step.
- **Accept:** If an input receives a grant, it accepts the one that appears next in a fixed, round-robin schedule starting from the highest priority element. The pointer to the highest priority element of the round-robin schedule is incremented to one location beyond the accepted output.

4 $N^2$ servers at inputs, $N$ servers each at ingress and egress to the crossbar, $N$ servers at output.
Fig. 9. An Input Queued Switch model. The pink, red and black packets are from three different flows which would be serviced in a Round Robin order at the output 1. We will show that an Input Queued Switch can mimic a similar behavior.

The iSlip algorithm can maximize throughput but it will fail to give a fair share of the bandwidth to the competing flows. Let us assume that there are 3 flows, \( f_1, f_2, f_3 \), destined to output 1 and their packets are spread across different inputs. In Figure 9 we show the IQ switch model we are using. It has Virtual Output Queues (VOQs) corresponding to each output. The packets from the 3 flows are spread across the VOQs of all the \( N \) inputs. Since, iSlip uses a rotating priority model, therefore one possible order the packets can be dispatched to the output is that packet from VOQ(1,1) is sent followed by the packet from VOQ(2,1) and then the packet from VOQ(3,1). As the packets are dequeued in a FCFS order from the VOQs, therefore, the packets from flow \( f_1 \) will be serviced in 3 successive time slots. We want to ensure that the service order is such that packets from \( f_1, f_2, f_3 \) are selected successively.

Whenever a packet arrives it is classified to determine its outgoing port. We can also determine its flow identifier (flow-id). Hence, if a VOQ has the knowledge that the last packet it has sent out was from flow \( f_1 \), then next time when it has to pick a packet for sending it can choose the packet from the next flow in the priority order, e.g. \( f_2 \) in the round-robin scheme. This implies that maintaining a round-robin arbiter for each VOQ to select the flow can be a possible solution. However, this cannot ensure that we strictly follow a round-robin ordering at the output. Since, a particular output may give the ‘grant’ to different physical inputs, i.e. a different VOQ, in successive time slots, therefore the knowledge about which flow’s packet was sent in the previous time slot is unknown. We assume that no information is shared among the input queues.

In order to ensure that a packet from the correct flow is sent to the output, the grant signal from the output can carry the flow-id of the expected flow. If the VOQ of the input which received the grant has a packet from that flow buffered in the VOQ, then it accepts the grant, otherwise it marks this VOQ inactivate for the next iteration. However, this scheme might take unbounded amount of time to converge. All the VOQs for an output can have a packet to send but none of them may belong to the flow that is expected by the output. Hence the request-grant process has to be iterated \( N \) times before the packet from the next flow can be requested.

To make the algorithm converge faster the output must make a decision on which input to give a grant based on whether it has a packet from the expected flow. We propose that every VOQ maintain a bitmap
which will tell which flows are pending in its VOQ. The ‘request’ now carries the additional information
in the form of this bitmap. The output will pick the input which has a packet from the expected flow and
is the highest in the round-robin priority. If there is no input queue holding a packet from the particular
flow, the output can decide to send a grant for the packet from the next flow in the priority. This means
that the convergence time for this algorithm should remain same as the original iSlip algorithm.

IV. ARCHITECTURES FOR NETWORK PROCESSOR

The design of a Network Processor features the use of a number architectural techniques to speed up
the processing. In this section we will look at some of the commonly used techniques and compare their
relative merits and demerits. There are a number of manufacturers of NPs in the market. We will look
at some of the innovative design choices made by few of the leading companies.

A. Network Processor Design Space

The use of Application Specific ICs (ASICs) had been the most common way to speed up processing in
a router. Though NPs are looked upon as replacement to the ASICs, it still makes use of ASICs to speed
up specialized functions. Many NPs use the idea of **pipelining**. They break up the packet processing task
into a number of stages, like parsing, classification, queueing and management/modification of packets.
Specialized co-processors, which form the functional units for each stage of the pipeline, are used to
implement these functions.

The use of **Superscalar** (SS) processor architecture can also speed up packet processing by issuing
multiple instructions simultaneously. If packet processing tasks have sufficient instruction level parallelism
(ILP), SS architecture can exploit the ILP. Further speed up is possible by doing **Fine-Grain Multithreading**
(FGMT). In an FGMT architecture, instructions may be fetched and issued from a different thread
of execution each cycle. The FGMT architecture attempts to find and exploit all available ILP within
a thread of execution, but can also mitigate the latency due to a stalled thread by quickly switching to
another thread. This can improve the overall system throughput.

Since at most one thread can be executed at a time, the above architectures cannot boost the performance
if the parallelism is among the threads of execution. **Simultaneous Multithreading** (SMT) exploits
the thread-level parallelism (TLP). A SMT architecture has hardware support for multiple thread contexts
and extends instruction fetch and issue logic to allow instructions to be fetched and issued from multiple
threads each cycle. Thus, the instruction throughput can be increased according to the amount of ILP
available within each thread and the amount of TLP available between threads. A similar way of
processing multiple packets independent of another is to use **Multiple Processors**. If multiple processing
cores can be embedded on a single chip to build a Chip Multiprocessor (CMP) then substantial throughput
gain can be achieved by permitting multiple threads to execute completely in parallel. Each of the
processors on a CMP will have separate execution pipelines, register files, fetch units, etc. CMP has the
limitation that a thread may use only the resources bound to the processor it is executing on. With limited
chip area, if each processor is given a single functional unit, it means that the issue width must be 1,
preventing the advantages from ILP.

A time-tested trick for speeding up processing is the use of **Cache**. The benefits of caching in network-
centric processing has been shown by Pradhan et al. for doing fast address lookup [?]. The simplest idea
is to cache the result of a lookup. When the next packet arrives, first look in the cache for a hit on the
address in this packet to retrieve the outgoing port. This can save a lot of time because as we have seen in
Section II-A the forwarding tables are usually large and are stored in slower DRAMs. The complexity of
a Longest Prefix Match algorithm also limits the performance. The naive caching however fails to achieve
expected gains because the base assumption of temporal correlation in network traffic behavior cannot be
the same as program behavior. There is noticeable improvement if we store host address ranges, instead of host addresses. This is called Host Address Range Caching (HARC). Now the number of outcomes for route lookup is bounded by the number of output interfaces regardless of the size of the routing table. This observation leads to an algorithm to select the index bits into the cache in such a way that ranges with the same output are merged. This minimizes the number of distinct ranges and better hit ratio can be obtained because capacity misses are reduced. Gopalan et al. extended the algorithm to reduce the conflict misses by choosing the index bits such that ranges are mapped uniformly to cache sets, thus reducing the hot-spots in cache sets [?].

B. Commercial Network Processors

In this subsection, we will look at some of the industry-standard Network Processors. The wide differences among the NPs stem from a number of factors. Firstly, different NP vendors target different router market segments, which consist of backbone routers, edge routers and access routers. The requirements are different in each of these cases in terms of line speeds and number of ports supported, how deep in the OSI layer the processing need is, and how complex the processing is with regard to data and control plane. For example, we can see that there are NPs with support for 16 Fast Ethernet (100 Mbps) links to a single OC-192 (10 Gbps) link. Secondly, the core architecture differs with respect to the number of processing elements used, the use of specialized hardware, on-chip bandwidth, as well as memory requirements. Thirdly, the NPs are not stand-alone systems. Hence they need to have well-defined interfaces to other system components like the off-chip memory, the switch fabric, the physical media and the host processor. As an example, the media interfaces can be Fast Ethernet, Gigabit Ethernet, OC-3 POS, OC-12 POS, OC-12 ATM, OC-48 POS and/or OC-192 POS. We will take a look at the NPs along these dimensions.

Intel is one of the leading manufacturers of NPs with a line of NPs named IXP1200 [?], IXP1240, IXP1250. The IXP1200 class of NPs are aimed at layer 2-4 processing and can support a packet rate of 2.5 Mpackets/s. It consists of six programmable micro-engines and a 200 MHz StrongARM core that coordinates the activities. The 64 bit wide Intel IX bus connects the micro-engines, StrongARM, memory and the off-chip devices. A PCI bus interface allows integration with an external control processor. The
micro-engines have hardware support 4 threads each, giving a total of 24 threads on the chip. There are also some specialized hardware for tasks, like hashing. A block diagram of the IXP1200 is shown in Figure 10. Thus Intel’s approach is similar to doing chip level multiprocessing with thread Multithreading support.

IBM’s line of NPs called PowerNP is also targeted toward layer 2-5 processing. This is a multi-processor solution with 16 protocol processors, 7 specialized co-processors, and a PowerPC core. It supports Packets-over-Sonet (POS) and Gigabit Ethernet at 2.5 Gbps. Each protocol processor has a 3-stage pipeline. Each pair of protocol processors also share hardware co-processor to speed up tree searching and frame manipulation. The 7 specialized co-processors are used to accelerate tasks like queueing, checksumming, etc.

Lucent-Agere’s PayloadPlus is another noteworthy name in the NP arena. This is also aimed at layer 2-4 processing at 2.5 Gbps. PayloadPlus comprises 2 specialized processing elements on the data path, called the Fast Pattern Processor (FPP) and the Routing Switch Processor (RSP). The FPP has an interface to the physical media. An incoming packet first comes to the FPP, which performs the pattern matching, and forwards it to the RSP. The RSP takes care of the traffic shaping, queueing, and packet modification functions, and interfaces with the switch fabric. The FPP is a pipelined, multithreaded processor supporting up to 64 threads. The PayloadPlus also provides another functional block called the Agere System Interface (ASI) whose functions are to manage routing table updates, gather statistics, etc. These functions are similar to control path processing. Hence the ASI is kept separate from the faster data path comprising FPP and RSP. The ASI also provides the 64 bit, 66 MHz PCI interface with DMA and interrupt support that can be used to connect to a host CPU. It also has 2 32-bit SSRAM memory interfaces.

MMC Networks, presently Applied Micro Circuits Corporation (AMCC), nP7xxx family of NPs are aimed at full 7-layer processing. The nP7510 in particular can support 1 OC-192 (10 Gbps), or 4 OC-48, or 10 Gigabit Ethernet ports. It uses six EPIF-200 packet processors on a single chip. The EPIF-200 is a 64 bit processor with network optimized instruction set (NISC) and zero-overhead task switching among 8 threads. It has a programmable policy engine for packet classification and a search engine for layer 2 VLAN bridging and layer 3 Longest Prefix match. Besides it has statistics gathering engine that collects RMON-compliant data.

Other players in the market are EZchip and Motorola. EZchip’s NP-1 processor also claims to perform Layer 2-7 processing at 10 Gbps. NP-1 is dedicated toward data plane processing and a separate interface is provided for a control processor. The NP-1 is designed with a number of specialized Task Optimized Processors (TOPs). The key idea in NP-1 design is to split the four basic packet processing tasks (parse, search, resolve, modify) across small, fast processor cores. Optimization of each task processing is done by using a customized instruction set for the processor. This is called the Task Optimized Processing Core (TOPCore) technology and based on it EZchip has TOPParse, TOPSearch, TOPResolve and TOPModify. For increased processing power, the TOPCores are combined to form a superpipelined and superscalar architecture. The packet processing is pipelined passing packets from TOPParse to TOPSearch to TOPResolve to TOPModify. The speedup derived from pipelining is further boosted by having multiple instruction pipelines to execute several different instructions concurrently during a single cycle. To ensure that memory does not become a bottleneck, all memory needs of the network-specific processor are embedded on-chip.

Motorola’s C-Port family of Network Processors also claim 7-Layer processing ability at 2.5 Gbps speed. It is a single chip multi-processor consisting of 16 channel processors with 5 co-processors dedicated for tasks like, coordination with external processors, table lookup and update, queue management, and fast memory management. The internal buses provide an aggregate bandwidth of 60 Gbps. The
external interface for Layer 2/3 connection is UTOPIA and there is PCI bus interface support.

In Table VII we distinguish these Network Processor Architectures on the basis of some chosen metrics, like number of processors used on a chip, number of pipeline stages, number of threads supported, the issue width for a superscalar processor, and the targeted processing speed. The sources for most of the information have been the white papers from the companies and information related to all the metrics were not available. In summary, the main target for most of the NPs seem to be OC-48c (2.5 Gbps) and OC-192c (10 Gbps).

V. BENCHMARKING THE NETWORK PROCESSORS

We saw the diversity of choices in Network Processor design and its reflection in the industry standard NPs. The NPs have widely disparate micro-architectures, memory architectures, and system-level interfaces (control, physical media and switch fabric). This makes evaluation and comparison of NPs a tedious effort. Benchmark suites are intended to provide the normalizing platform on which NPs can be compared. In this section, we will take a look at the approaches being advocated for choosing benchmarks to evaluate NPs. There are no standard benchmarks available in the community for NPs. We will look at the academic research and the efforts of the Network Processing Forum (NPF) toward this end.

The Network Processing Forum Benchmarking Working Group (NPFBWG) advocates benchmarking efforts at three levels of granularity: system-level, application-level and task-level. Benchmark suites at these three levels have a hierarchical relationship. The lowest level, which is the task-level benchmarks characterizes how rapidly a NP performs common networking tasks that comprise networking applications, for example Longest Prefix Match lookup. The application-level benchmarks are supposed to characterize performance of well-defined application functions, like IP forwarding, MPLS switching. System-level benchmarks are supposed to capture the complete system performance for typical NP application domains, like firewalls. Mel Tsai et al. provides an even more comprehensive methodology to design benchmarks for NPs. According to them, for each benchmark application separate and precise specification of functionality, environment, and measurement must be provided. Benchmark functionality captures the important aspect of the benchmark’s algorithmic core. The environment provides the NP features that allows results to be compared across NPs. The guidelines for measurement of performance give consistency of results.

The traditional benchmark suites have been SPEC, Dhrystone. However, in light of the discussion, these do not seem to be suitable choice. Firstly, they focus solely on the functional characteristics of the applications, and cannot account for the differences arising out of varying architectural platform. Secondly, there is a difference between a NP workload compared to the general workload as we will see. The CommBench suite chooses two kinds of benchmarks, header processing applications (HPA), and payload processing applications (PPA). The HPA are Radix-Tree Routing Table lookup, IP Fragmentation

| NP Type            | # of Processing Elements | # of Pipeline Stages | # of Threads | Issue Width |
|--------------------|--------------------------|----------------------|--------------|-------------|
| Intel IXP1200 [?]  | 6+1                      | -                    | 4 /p.e.      | 1           |
| IBM PowerNP [?]    | 16+7+1                   | 3 /p.e.              | 2 /p.e.      | 1           |
| Lucent-Agere [?]   | 2                        | -                    | 64           | 1           |
| MMC Networks [?]   | 6                        | -                    | 8            | 1           |
| EZchip [?]         | 4                        | 4                    | -            | -           |
| Motorola C-Port [?]| 16+5+1                   | -                    | -            | -           |

TABLE VII. A relative picture of industry standard Network Processors.
involving computing checksum, Deficit Round-Robin Scheduling, TCP monitoring (traffic policing) using tcpdump, and the PPA are CAST, which is an encryption algorithm, ZIP used for data compression, REED used for FEC and JPEG which is a lossy compression algorithm. This selection fits the category of application-level benchmarks, but fail to incorporate a way to define system-level interfaces. Commbench shows difference with SPEC along four dimensions: code size, computational complexity, instruction set characteristics, and cache performance. The average code size for Commbench is 5750 compared to 48,700 for SPEC. The average difference in frequencies of executed instructions between Commbench and SPEC was 5%. Also, the cache miss rates were different for instruction and data caches for CommBench and SPEC.

Another benchmark suite has been developed by UCLA, called NetBench [?]. They also come up with benchmarks that can be seen as belonging to task-level, application-level, and system-level. At task-level we have CRC-32 checksum computation and Table lookup in a radix-tree routing table, application-level comprises IPv4 routing, Deficit Round Robin, Firewall and Network Address Translation (NAT), and at system-level there are SSL and URL-based switching.

All the existing benchmark suites lack in providing the common platform to compare NPs. NPF provides the mandatory information that should accompany the result of any test. It also provides a list of application-level and task-level benchmarks it plans to specify [?].

VI. CONCLUSION

The Internet is marked by two distinct trends: the increasing link speeds and the emergence of new applications with strict bounds on service guarantees. The first development pushes the routers to carry out its data plane processing faster, while the second requires more processing cycles at each intermediate router. The conflicting goals have opened the market for better software and hardware solutions to prevent routers from becoming the bottleneck in communication.

In this survey, we have discussed four main tasks that a router needs to perform on every packet traversing it: packet classification, buffer memory management, switch fabric scheduling and output link scheduling. For each of these operations we have compared the algorithms which can boost router performance by breaking the performance bounds. In the case of packet classification, despite a number of innovative solutions, the use of Ternary CAMs proves to be the best approach. However, for routers with large forwarding databases TCAMs cannot be used as they come in limited size. We noted that none of the algorithms successfully address the space complexity in case of multi-dimensional classification. The lowest bound offered is $O(N)$, where $N$ is the number of rules in the forwarding database. In case of buffer memory management, input queueing is favored because of its low memory bandwidth requirement, but output queueing is better suited for guaranteed QoS. Combined Input Output Queueing (CIOQ) presents the preferred solution for routers since it can take the benefit of lower memory bandwidth requirement along with QoS guarantees. CIOQ also opened the question of efficient switch fabric scheduling which can ensure QoS. We have looked at some of the recent approaches based on randomized algorithms. We have also proposed an extension to the well-known iSlip algorithm to make it suitable for providing QoS guarantees. In link scheduling, we observe that the priority based algorithms fail to break the $O(\log N)$ bound. Round robin scheduling at the output can give $O(1)$ execution complexity but at the price of poorer delay bound.

The hardware option in router market is driven by the use of Network Processors (NP). The use of ASICs is gradually making way to the programmable network processing units. There are various architectural choices starting from pipelining, multithreading to the use of multiple processors to speed up the packet processing in a NP. A slew of Network Processors are occupying the market and are aimed at different router market segments. Some of them are focused on Layer 2/3 Processing at OC-48c (2.4
Gbps) speeds, while others are looking at complete 7 Layer processing at OC-192c (10 Gbps) speed. The difficulty in choosing one NP over another can only be resolved by the presence of a benchmarking suite for NPs. The Network Processing Forum (NPF) Benchmarking WorkGroup is devoted to this task. However, there are a number of academic efforts, like CommBench and NetBench which have tried to define the set of benchmark applications for NP. Due to differences not only in the architecture, but also in the variety of interfaces used by the NPs, coming up with a standard and full-proof methodology for comparing NPs seems to be a difficult and still unsettled problem.