Adjusting Word Embeddings with Semantic Intensity Orders

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Abstract

Semantic lexicons such as WordNet and PPDB have been used to improve the vector-based semantic representations of words by adjusting the word vectors. However, such lexicons lack semantic intensity information, inhibiting adjustment of vector spaces to better represent semantic intensity scales. In this work, we adjust word vectors using the semantic intensity information in addition to synonyms and antonyms from WordNet and PPDB, and show improved performance on judging semantic intensity orders of adjective pairs on three different human annotated datasets.

1 Introduction

Word embedding models that represent words as real-valued vectors have been directly used in word-level NLP tasks such as word similarity (Mikolov et al., 2013b), antonym detection (Ono et al., 2015; Pham et al., 2015; Chen et al., 2015), knowledge relations (Toutanova et al., 2015; Socher et al., 2013; Bordes et al., 2013), and semantic scale inference (Kim and de Marneffe, 2013). Word embedding models such as Word2Vec (continuous bag-of-words (CBOW) and skip-gram) (Mikolov et al., 2013a) and GloVe (Pennington et al., 2014), widely used to generate word vectors, are trained following the distributional hypothesis (Harris, 1954) which assumes that the meaning of words can be represented by their context.

However, word embedding models based solely on the distributional hypothesis often place words improperly in vector spaces. For example, in a vector space, a word and its antonym should be sufficiently far apart, but they can be quite close because they can have similar contexts in many cases.

For better semantic representations, different approaches using semantic lexicons as well as lexical knowledge to adjust word vectors have recently been introduced. Faruqui et al. (2015) adjusted each word vector to be in the middle between the initial position and its synonymous words. Mrkšić et al. (2016) used max-margin approaches to adjust each word vector with synonyms and antonyms while keeping the relative similarities to the neighbors. While these two approaches are post-processing models that adjust preexisting word vectors, Ono et al. (2015), Pham et al. (2015), and Liu et al. (2015) jointly train models that augment the skip-gram (Mikolov et al., 2013a) objective function to include knowledge from semantic lexicons. The common goal in these approaches is to make semantically close words closer and semantically distant words farther apart while keeping each word vector not to be too far from the original position. Although the joint training models can even indirectly adjust words that are not listed in the semantic lexicons (Pham et al., 2015), the post-processing models are much more efficient and can be applied to word vectors from any kinds of models, which can eventually perform better than the joint training models (Mrkšić et al., 2016).

Although Faruqui et al. (2015), Mrkšić et al. (2016), Ono et al. (2015), Pham et al. (2015), and Liu et al. (2015)’s adjustment approaches have been shown to represent word semantics better in vector spaces, their coarse modeling of words as synonyms or antonyms may be insufficient for modeling words lying along a semantic intensity scale. For example, assume that “great” is erroneously between “bad” and “good” in a vector space (“bad” should be closer to “good” than “great”). Since semantic lexicons such as Word-
Net (Fellbaum, 1998) and the Paraphrase Database (PPDB) (Pavlick et al., 2015) only inform us that “good” and “great” are semantically similar and “good” is semantically opposite to “bad”, adjusting word vectors with those semantic lexicons does not permit to retrieve the appropriate semantic intensity ordering: bad < good < great.

Accurate representation of such semantic intensity scales can help correct processing in downstream tasks that require robust textual understanding. For instance, given an assertion such as the movie is outstanding, statements that contain a semantically weaker expression (e.g., the movie is good, the movie is okay) are entailed, whereas the movie is okay does not entail that the movie is outstanding. Similarly, correct information about semantic scales can also provide accurate inferences: when answers to a yes/no question that contains a gradable adjective does not explicitly contain a yes or a no, we can derive the intended answer by figuring out whether the answer entails or implicates the question (Horn, 1972; Hirschberg, 1985; de Marneffe et al., 2010). For example, for the question Was the talk good?, if the answer is It was excellent, the answer entails “yes”, but if the answer is It was okay, “no” will be implied.

To deal with the representation of semantic intensity scales, we infer semantic intensity orders with de Melo and Bansal (2013)’s approach and then use the intensity orders to adjust the word vectors. Evaluating on three different human annotated datasets, we show that the adjustment with intensity orders in addition to adjustments with synonyms and antonyms performs best in representing semantic intensities.

2 Adjusting word embeddings with semantic lexicons

In this study, we start from one of three different off-the-shelf word vector types as a baseline for our studies: GloVe, CBOW, and Paragram-SL999 (Wieting et al., 2015); we adjust each of these sets of vectors with a variety of contrastive methods. Our first contrastive system is a baseline using synonyms and antonyms (“syn&ant”) following Mrkšić et al. (2016)’s approach, which adjusts word vectors so that the sum of the following three max-margin objective functions are minimized.

**Adjusting with antonyms** We adjust word vectors so that the cosine similarity between each word and its antonyms is zero or lower:

\[
AF(V) = \sum_{(u, w) \in A} \tau(\cos(v_u, v_w)) ,
\]

where \(\tau(x) = \max(0, x)\), \(V\) is the vocabulary matrix, \(A\) is the set of antonym pairs, and \(v_i\) is the \(i\)-th row of \(V\) (\(i\)-th word vector). The antonym pairs consist of the antonyms from WordNet and Exclusion relations from PPDB word pairs.

**Adjusting with synonyms** We let the cosine similarities between each word and its synonyms be increased:

\[
SC(V) = \sum_{(u, w) \in S} \tau(1 - \cos(v_u, v_w)) ,
\]

where \(S\) is the set of synonym pairs. The synonym pairs consist of the Equivalence relations from PPDB word pairs.

**Keeping the similarity to the initial neighboring words** We encourage the cosine similarity between the initial vectors of each word and a neighbor word to be equal to or higher than the current cosine similarity between them:

\[
KN(V, V^0) = \sum_{i=1}^{N} \sum_{j \in N(i)} \tau(\cos(v_i, v_j) - \cos(v^0_i, v^0_j)) ,
\]

where \(V^0\) is the initial vocabulary matrix, \(N\) is the vocabulary size, and \(N(i)\) is the set of the initial neighbors of the \(i\)-th word. Word pairs with cosine similarities equal to or higher than 0.8 are regarded as neighbors.

The objective function for the word vector adjustment is represented as the sum of the three terms:

\[
C(V, V^0) = AF(V) + SC(V) + KN(V, V^0)
\]

This function is minimized with stochastic gradient descent with learning rate 0.1 for 20 iterations.

3 Adjusting word embeddings with semantic intensity orders

In order to better model semantic intensity ordering, we augment the synonym and antonym adjusted model with semantic intensity information to adjust word vectors. We first cluster semantically related words, infer semantic intensity orders of words in each cluster, and then adjust word vectors based on the intensity orders.
3.1 Clustering words for intensity ordering

de Melo and Bansal (2013) used WordNet dumbbells (Gross and Miller, 1990), each of which consists of an adjective antonym pair and each adjective’s synonyms, to define a set of words along a semantic intensity scale. Words in each half of a dumbbell form a cluster. This clustering is effective since synonyms are semantically highly related but their intensities may be different. However, this approach can only cluster words listed in WordNet.

Shivade et al. (2015) clustered word vectors from the CBOW model with \( k \)-means++ clustering (Arthur and Vassilvitskii, 2007). This approach depends on the current word vector placement and does not require semantic lexicons. However, a word can only belong to one cluster since \( k \)-means++ is a hard clustering, thus causing issues with polysemous words. For example, “hot” is both on the temperature scale (e.g., It’s hot today) and on the interestingness scale (e.g., It’s a hot topic). If “hot” is adjusted for the former scale, “hot” may not properly be placed on the latter scale. Another issue of using clustering algorithms is that unrelated or antonymous words can belong to a cluster, which may hinder correct intensity ordering.

We evaluated both clustering approaches and their combination to cluster words for intensity orders. In Table 2, by default, WordNet dumbbells and Equivalence relations of PPDB word pairs are used as the intensity clusters. “kmeans only” denotes that only clusters from \( k \)-means++ are used, and “+kmeans” means that WordNet, PPDB, and clusters from \( k \)-means++ are used altogether. Following Shivade et al. (2015), when clustering with \( k \)-means++, we set \( k \) to be 5,798, which is the number of all observed adjectives (17,394) divided by 3 so that the average number of adjectives in a cluster is 3.

3.2 Inferring intensity ordering

We follow de Melo and Bansal (2013)’s approach to order the adjectives in each cluster. For every possible pair of adjectives in the cluster, we search for regular expressions like “∗ but not ⟨∗⟩” in Google \( N \)-gram (Brants and Franz, 2006). These patterns give us the direction of the ordering between the adjectives. For example, if “good but not great” appears frequently in Google \( N \)-gram, we infer that “great” is semantically stronger than “good”.1 Once we have the intensity differences of adjective pairs in a cluster, mixed integer linear programming (MILP) is used for optimal ordering of all the adjectives in the cluster given the pairwise intensity information of the adjective pairs, following de Melo and Bansal (2013).

3.3 Adjusting word vectors based on intensity orders

Now that we have word clusters whose constituent words are ordered according to their semantic intensities, we adjust the word vectors in two ways, as follows.

3.3.1 Adjusting words with the same intensity order to be closer

When intensity orders are assigned to words in a cluster, different words can have the same rank. For example, given a word cluster {“interesting”, “provocative”, “exciting”, “sexy”, “exhilarating”, “thrilling”}, both “exhilarating” and “thrilling” are assigned the highest order, and “exciting” and “sexy” are assigned the second highest order. Since words in a same cluster are considered to be very close in both the meaning and the intensity, it is desirable to let them to be similar in the vector space. Therefore, we formulate a max-margin function:

\[
SO(V) = \sum_{(u,w) \in E} \tau (1 - \cos (v_u, v_w)), \tag{5}
\]

where \( E \) is the word pairs of the same intensities from the intensity clusters.

3.3.2 Adjusting weaker/stronger word pairs based on antonyms

For two similar words with different intensities (e.g., “good” and “great”), the similarity between the weaker word vector and its antonym vector should be higher than the similarity between the stronger word vector and the antonym vector. Figure 1 shows an example of word vectors which are wrongly ordered.

To reduce wrong orderings, we formulate a

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1Shivade et al. (2015) used Tregex (Levy and Andrew, 2006) to extract patterns including more words but it is not necessary when we extract patterns from phrases consisting of less or equal to five words.
max-margin function:

\[ AO(V) = \sum_{(w,a) \in A} \sum_{s \in Str(w)} \tau \{ \cos (v_s, v_a) - \cos (v_w, v_a) \}, \]

where \( A \) is the set of antonym pairs and \( Str(w) \) is a set of words semantically stronger than \( w \). By minimizing this function, out-of-order vectors are adjusted so that the stronger word vector gets farther from the antonym vector and the weaker word vector gets closer to the antonym vector.

Both equations 5 and 6 can be either solely used or summed to others like equation 4 to serve as a term of the objective function.

4 Evaluation

We evaluate the representation of semantic intensities on the three following human-annotated datasets.

4.1 WordNet synset pairs

We obtained a dataset of 670 synonymous adjective pairs coming from synsets in WordNet from Christopher Potts. Each adjective pair was annotated for intensity order on Mechanical Turk. For each adjective pair \(<A, B>\) (e.g., “good” and “great”), ten different Turkers were asked to judge whether \( A \) is semantically stronger than \( B \), \( B \) is semantically stronger than \( A \), or \( A \) is equal to \( B \). For consistency of annotation with the other datasets, we mapped “\( A \) is semantically stronger than \( B \)” to “no”, “\( B \) is semantically stronger than \( A \)” to “yes”, and “\( A \) is equal to \( B \)” to “uncertain”.

For 77.3% of adjective pairs, at least 6 out of the 10 Turkers agreed with each other on the same annotation. Table 1 gives a breakdown of how often Turkers agree with each other on the annotation.

| Max # Turkers agreeing | Coverage (%) |
|------------------------|--------------|
| 10                     | 17.5         |
| 9                      | 17.2         |
| 8                      | 13.3         |
| 7                      | 14.6         |
| 6                      | 14.9         |
| 5                      | 16.7         |
| 4                      | 6            |

Table 1: Percentage of adjective pairs and the maximum number of Turkers who agree with each other on the annotation.

4.2 Indirect question-answer pairs (IQAP)

IQAP (de Marneffe et al., 2010) is a corpus consisting of 127 indirect question-answer pairs in which both the question and the answer contain a gradable adjective (Is Obama qualified? I think he’s young.). For each pair, 30 Turkers decided whether the answer implies a “yes”, “no” or “uncertain” response to the question. A majority “yes” response implies that the adjective in the question entails the adjective in the answer.

The ordering between the adjectives in the question and in the answer can be used to infer a “yes” or “no” answer: if the adjective in the answer is semantically equivalent or stronger to the adjective in the question, we infer a “yes” answer (Was the movie good? It was excellent.); if not, we infer a “no” answer.

4.3 Word intensity orders in clusters

We also use the test set from de Melo and Bansal (2013) consisting of 507 pairs of adjectives in 88 clusters annotated by two native English speakers for intensity ordering. From this set, we generated all the possible adjective pairs from the ordered list in a cluster. For example, for “known” < “famous” < “legendary” in the test set, we generated “known” < “famous”, “known” < “legendary”, and “famous” < “legendary”.

4.4 Evaluation results

In our evaluation of the semantic orderings of adjective pairs, we decide which adjective in a pair \(<A, B>\) is semantically stronger following Kim and de Marneffe (2013)’s approach. First, we look
Table 2: F1 scores for determining semantic intensity ordering on three datasets, across three baseline models (GloVe, CBOW, Paragram), using different compositions of adjustment techniques, including synonyms, antonyms, same intensity orders, and different intensity orders.

| Adjustment methods | WordNet synset pairs | IQAP | de Melo & Bansal (2013) |
|--------------------|----------------------|------|-------------------------|
|                    | GloVe | CBOW | Pgrm | GloVe | CBOW | Pgrm | GloVe | CBOW | Pgrm |
| baseline           | 0.5614 | 0.5092 | 0.5224 | 0.7044 | 0.7016 | 0.7591 | 0.9468 | 0.9347 | 0.9803 |
| syn&ant            | 0.5106 | 0.5516 | 0.5472 | 0.8143 | 0.8045 | 0.8307 | 0.9944 | 0.9632 | 0.9701 |
| same_ord (kmeans only) | 0.5762 | 0.5163 | 0.5196 | 0.7044 | 0.7016 | 0.7473 | 0.9480 | 0.9359 | 0.9791 |
| same_ord, diff_ord | 0.5805 | 0.5331 | 0.5167 | 0.7119 | 0.6889 | 0.7718 | 0.9632 | 0.9492 | 0.9803 |
| syn&ant_same_ord   | 0.5764 | 0.5639 | 0.5782 | 0.7922 | 0.7818 | 0.8284 | 0.9456 | 0.9371 | 0.9791 |
| syn&ant_diff_ord   | 0.5300 | 0.5551 | 0.5765 | 0.8143 | 0.7922 | 0.8307 | 0.9735 | 0.9539 | 0.9825 |
| syn&ant_same_ord, diff_ord | 0.5467 | 0.5730 | 0.5960 | 0.8143 | 0.8033 | 0.8395 | 0.9758 | 0.9539 | 0.9825 |
| syn&ant_same Ord, diff Ord (kmeans only) | 0.5186 | 0.5516 | 0.5729 | 0.8033 | 0.8045 | 0.8194 | 0.9609 | 0.9468 | 0.9803 |
| syn&ant_same Ord, diff Ord (+kmeans) | 0.5512 | 0.5828 | 0.5960 | 0.8033 | 0.8033 | 0.8395 | 0.9735 | 0.9609 | 0.9814 |

Table 3: The numbers of total adjective pairs, synonymous pairs, and antonymous pairs for each dataset.

| Datasets                  | # pairs | # syn | # ant |
|---------------------------|---------|-------|-------|
| WordNet synset pairs      | 670     | 79    | 9     |
| IQAP                      | 127     | 7     | 9     |
| de Melo & Bansal (2013)   | 507     | 54    | 1     |

Expanding on the results in Table 2, as the baselines, we used three different 300 dimensional off-the-shelf word vectors: GloVe, CBOW, and Paragram-SL999. Following Mrkšić et al. (2016), for each of the word vector sets, we extracted word vectors corresponding to the 76,427 most frequent words from Open-Subtitles.

Table 4 indicates whether the differences in performance of the adjustment methods in Table 2 are statistically significant (McNemar’s χ² test with p-value < 0.05). In the table, “merged” columns are the results of the concatenation of all the datasets. For each comparison, ‘+’ denotes that the performance of the latter is significantly higher than that of the former, and ‘-’ denotes the opposite, whereas no value indicates that the difference in performance is not statistically significant. For Paragram vectors, only one case (“baseline” vs “syn&ant.same_ord”) is significantly different.

In Table 2, “baseline” shows the performance of the baseline word vectors without any adjustments. Since Paragram-SL999 are optimized to perform best on evaluating SimLex-999 dataset, the baseline performance of Paragram-SL999 on SimLex-999 as well as two of the other datasets are noticeably better than word vectors from GloVe and CBOW.

In “syn&ant”, corresponding to the optimization with equation 4, 15,509 words are adjusted with the synonyms and 6,162 words are adjusted with the antonyms. This adjustment significantly

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1Available from [http://nlp.stanford.edu/projects/glove/](http://nlp.stanford.edu/projects/glove/)
2Available from [https://code.google.com/p/word2vec/](https://code.google.com/p/word2vec/)
3Available from [https://drive.google.com/file/d/0B9w48e1rj-MOck1RGxaZW1IU2M/](https://drive.google.com/file/d/0B9w48e1rj-MOck1RGxaZW1IU2M/)
4Available from invokeit.wordpress.com/
5Available from [http://nlp.stanford.edu/~tingzhang/freqwordlists](http://nlp.stanford.edu/~tingzhang/freqwordlists)
improves the performance of CBOW vectors and Paragram vectors on the IQAP and de Melo and Bansal (2013)’s datasets. Specifically, for the IQAP dataset, where many of the pairs are either synonyms or antonyms, “syn&ant” showed better performance than including adjustments with semantic intensity orders. However, this adjustment makes GloVe vectors yield significantly worse performance on the WordNet synset pair dataset. This shows that the adjustment with just synonyms and antonyms can worsen the representation of subtle semantics considering intensities. In this case, using just the adjustment with semantic intensity orders can be helpful. “same_ord (kmeans only)”, corresponding to equation 5, adjusts word vectors by just making vectors of words with the same intensity order to be more similar without using synonyms and antonyms. For GloVe vectors, “same_ord (kmeans only)” showed the highest score for the WordNet synset pair dataset. For adjustments with semantic intensity orders, 616 words are adjusted when WordNet dumbbells and Equivalence relations from PPDB word pairs are used as the clusters. When clusters from k-means++ are used, several hundreds of words are adjusted, where the adjusted words vary depending on the vector space for each iteration.

For the WordNet synset pair dataset and de Melo and Bansal (2013)’s dataset, where the subtle semantic intensity differences are more critical, using synonyms, antonyms, and semantic intensity orders altogether (“syn&ant,same_ord,diff_ord”) showed significantly higher scores than “syn&ant” in many settings. Here, “diff_ord” corresponds to equation 6.

Table 5 shows the adjective pairs whose intensity judgements were changed by including adjustments with semantic intensity orders. The pairs are from the WordNet synset pairs and baseline v. syn&ant
baseline v. syn&ant,same_ord,diff_ord
syn&ant v. syn&ant,same_ord,diff_ord (+kmeans)
syn&ant v. syn&ant,same_ord,diff_ord (+kmeans)

Table 4: McNemar’s $\chi^2$ test results ($p$-value < 0.05) for different methods of GloVe/CBOW adjustments across WordNet synset (WN), IQAP, and de Melo & Bansal (dM&B) datasets, as well as concatenating the three datasets (merged). For $x$ v. $y$, ‘+’ denotes that $y$’s score is significantly higher than that of $x$, ‘-’ denotes the opposite, and no value denotes that the difference is not statistically significant.

Table 5: Adjective pairs whose incorrect decisions with the former models are corrected by the latter models. For those model comparisons, there were no pairs that were correctly judged with the former models but not with the latter models.

GloVe vectors were used as the baseline. “baseline” is compared to “same_ord (kmeans only)” in the first column and “syn&ant” is compared to “syn&ant,same_ord,diff_ord(+kmeans)”. In both cases, we observe that some of the incorrectly judged pairs are corrected when adding the adjustment with semantic intensity orders. In these cases, there were no pairs that were correctly judged by the adjustments without semantic intensity orders but incorrectly judged with semantic intensity orders.

Since the numbers of adjectives pairs in the datasets and the numbers of words that are adjusted with semantic intensity orders are small, not all the cases comparing the adjustments using just synonyms and antonyms to the adjustments including semantic intensity orders were significant for $p$-value < 0.05, as shown in Table 4. However, since many of them are slightly insignificant (like $p$-value=0.07) and the scores noticeably increased in many cases, using semantic intensity orders for the adjustments seem promising.

In addition, to show that the adjustments are not harmful for the representation of the general semantics of the words, we also evaluated on SimLex-999 (Hill et al., 2015), where 999 word
Table 6: Spearman’s $\rho$ on SimLex-999.

Pairs were annotated on Mechanical Turk to score the degree of semantic similarities. This dataset has been widely used to evaluate the quality of semantic representations of words.

Table 6 shows Spearman’s $\rho$ scores on the SimLex-999 dataset for the different adjustment methods. Since SimLex-999 dataset is not directly related to semantic intensities compared to the other evaluation datasets, there were no significant gains for the adjustments with semantic intensity orders. However, no significant drops indicate that the adjustments with semantic intensity orders are not harmful for the representation of general word semantics.

5 Discussion and Conclusion

In this work, we adjusted word vectors with inferred semantic intensity orders as well as information from WordNet and PPDB, and showed that adjusting word vectors with semantic intensity orders, synonyms, and antonyms altogether showed the best performance for all the three datasets we evaluated on. Using the semantic intensity orders for adjusting word vectors can help represent semantic intensities of words in vector spaces. In addition, we showed the adjustments including semantic intensity orders are not harmful for the representation of semantics in general by evaluating on SimLex-999.

In future work, we plan to investigate clustering techniques beyond WordNet dumbbells and $k$-means++ as preprocessing in the semantic ordering. The clusters using WordNet dumbbells depend on a preexisting semantic lexicon that may not cover all the semantically related words. With $k$-means++, clusters may contain semantically opposite words and a word can belong to only one cluster. As both techniques have limitations, by using another clustering method, the performance could be further improved. In addition, we plan to use larger corpora than Google $N$-gram so that we can find more intensity orderings within clusters. We can also further improve the performance by using semantic intensity information from other linguistic resources. For example, given a list of base, comparative, and superlative forms of adjectives and adverbs, we can let those adjectives aligned more correctly in vector spaces.

We can also use word definitions from dictionaries. For example, given a list of base, comparative, and superlative forms of adjectives and adverbs, we can let those adjectives aligned more correctly in vector spaces.

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