Transversal Magnetic Anisotropy in Nanoscale PdNi-Strips

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We investigate submicron ferromagnetic PdNi thin-film strips intended as contact electrodes for carbon nanotube-based spintronic devices. The magnetic anisotropy and micromagnetic structure are measured as function of temperature and aspect ratio. Contrary to the expectation from shape anisotropy, magnetic hysteresis measurements of Pd0.3Ni0.7 on arrays containing strips of various width point towards a magnetically easy axis in the sample plane, but transversal to the strip direction. Anisotropic magnetoresistance measured on individual Pd0.3Ni0.7 contact strips and magnetic force microscopy images substantiate that conclusion.

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I. INTRODUCTION

Carbon nanotubes (CNTs) have become a frequently used material for spin dependent transport experiments within the past years. Due to spin lifetimes of several nanoseconds CNTs provide excellent conditions for this kind of investigation. Spin injection requires ferromagnetic contact electrodes to the CNT which provide both spin polarization and a transparent electric contact. As palladium is known for its high contact transparency and especially the formation of giant magnetic moments in dilute alloys with small amounts of ferromagnetic elements have been well studied for both bulk material and thin films, with respect to Curie points and critical alloy concentrations for the onset of ferromagnetism.

Objective of this work is the investigation of thin film Pd0.3Ni0.7 high aspect ratio shapes, particularly with regard to their suitability as ferromagnetic contact electrodes for CNT devices. While the similar alloy Pd1−xFe2 is governed by shape anisotropy, this finding is not transferable to Pd1−xNi due to the significantly different crystal structures of nickel and iron and the differing ferromagnet concentrations in the experiments.

We use Pd0.3Ni0.7 strips at widths of 250 nm — 1500 nm, maintaining a constant length of 5 μm and metal film thickness of 50 nm. All samples were fabricated on a boron doped, p++ type Si substrate with thermally grown SiO2 surface oxide, and structured via electron beam lithography and lift-off process using a polymethyl methacrylate two layer resist. The deposition of the thin films was done by electron beam evaporation from pre-mixed bulk material in an UHV evaporation system with a base pressure of 4 × 10−8 mbar. Figure 1 displays such a strip pattern, in this particular case with leads attached in a second lithography step for magnetoresistance measurements. It also introduces the characteristic directions for all the magnetic field orientations used in this manuscript, i.e., perpendicular (P), transverse (T), and longitudinal (L) with respect to the Pd0.3Ni0.7 strip.

II. SQUID MAGNETIZATION MEASUREMENTS

Superconducting quantum interference device (SQUID) magnetization measurements using a commercial magnetometer have been used to characterize the averaged magnetic hysteresis of arrays containing 1.3 × 106 non-contacted, electrically isolated thin film strips. They reveal the switching characteristics at various temperatures and orientations of the external magnetic field. Fig. 2 displays the magnetization curves of an array of 250 nm wide strips for two different temperatures after subtraction of the diamagnetic and paramagnetic moments of the boron doped Si substrate, the latter showing a strongly field-dependent susceptibility at low temperature which was fitted with a Brillouin

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function. The total magnetic moment of the sample at $T = 300\,\text{K}$ is $M_{\text{tot}} = 3.7 \times 10^{-5}\,\text{Gcm}^3$ (see Fig. 2(a)), from which an average magnetic moment of $\bar{\mu} = 0.58\mu_B$ per alloy atom can be calculated. This value is comparable to previous results for bulk Pd$_{0.3}$Ni$_{0.7}$, where also the Curie temperature of this material has been characterized ($T_C \approx 532\,\text{K}$). Figures 2(a-b) show magnetization loops in a transverse (T) and longitudinal (L) external field at $T = 300\,\text{K}$ and $T = 2\,\text{K}$, while Figures 2(c-d) zoom in onto the range $-0.4\,\text{T} \leq \mu_0 H \leq 0.4\,\text{T}$. The higher field required for saturation and the larger coercive field values observed at low temperature can be explained by the absence of thermally activated motion of domain walls. Saturation is reached at lower external fields for the transverse orientation of external magnetic field. Also the remanent magnetization in transverse direction is significantly higher than in longitudinal orientation. These observations indicate an initially unexpected magnetic anisotropy with the easy axis along the transverse direction (T).

Concerning the details of the magnetization curves, the remanent magnetization in (T) direction is not 100% as expected for an easy axis. This can be explained by the strong demagnetizing field connected with the magnetization pointing perpendicular to the edge of the sample. This is expected to cause some reversed domains as indicated by MFM images discussed below (Fig. 3(b)). Furthermore, to avoid a large related magnetostatic energy the magnetization will rotate towards the (L) direction close to the lateral edges. Hence, the resulting average transverse magnetization component decreases with decreasing strip width and becomes substantially reduced for sub-micrometer dimensions. On the other hand, the remanence in (L) direction is not zero as would be expected for a uniaxial hard axis. This is presumably a result of the domain splitting in the remanent state after saturation along the hard axis, which is confirmed by the MFM images shown in Fig. 3(a) (see below). For small domains with a width below 300 nm as deduced from Fig. 3(a) the magnetization inside and in the vicinity of the Néel type domain walls will have a substantial component perpendicular to the wall, i.e. along the (L) direction, which shows up as the longitudinal remanence.

III. MAGNETOTRANSPORT

To obtain further information on the direction of spontaneous magnetization and the switching behaviour of single contact electrodes, the anisotropic magnetoresistance (AMR) of individually contacted Pd$_{0.3}$Ni$_{0.7}$ strips was measured. As with the samples for the SQUID measurements, the strips were fabricated via electron beam lithography and lift-off process on identical Si/SiO$_2$ substrate material. The non-magnetic palladium leads (see Fig. 1) were deposited using a second electron beam lithography and evaporation step. The resistance of a ferromagnetic strip is generally higher when the current through the strip is aligned parallel to the magnetization vector of the structure ($\vec{J} \parallel \vec{M}$) than in the perpendicular case ($\vec{J} \perp \vec{M}$). Transport measurements were performed at $T = 4.2\,\text{K}$, applying a maximum external magnetic field of $\mu_0 H_{\text{max}} = \pm 925\,\text{mT}$ successively in different orientations relative to the strip. The resistance measurement itself was carried out using a four-terminal setup and lock-in technique.

Fig. 3 shows the relative change of resistance $\Delta R = (R(\mu_0 H) - R_{\text{max}})/R_{\text{max}}$, in dependence on the external magnetic field $\mu_0 H$, for a strip width of 500 nm. The three panels correspond to the three field orientations as sketched in Fig. 1. The largest increase of resistance occurs when applying the field in longitudinal (L) direction. This means that a large part of the magnetization was oriented away from this direction and had to be aligned parallel to the strip by the external magnetic field. In perpendicular (P) direction we observe a decrease of the resistance with increasing perpendicular field, i.e. with the alignment of the magnetization perpendicular to the film plane and the in-plane current. This means that the magnetization must have a longitudinal component in the remanent state. In transverse (T) direction a small but finite increase of resistance appears with increasing field. This is explained by a misalignment of the external field by $7^\circ$ relative to the (T) axis which was verified.
FIG. 3. (Color online) Anisotropic magnetoresistance \( \Delta R = (R(\mu_0 H) - R_{\text{max}})/R_{\text{max}} \) of an individually contacted, 500 nm wide Pd\(_{0.3}\)Ni\(_{0.7}\) strip. The three panels represent the relative orientation of the magnetic field according to Fig. 1, i.e. longitudinal (L, black), perpendicular (P, red) and transverse (T, green). The dashed traces show the magnetic field up-sweep, while the continuous traces show the down-sweep measurement. All three panels have identical scaling of both axes.

The inset shows a polar plot of the AMR at constant magnetic field \( |\mu_0 H| = 1 \text{T} \) and reveals a small misalignment of \( \Delta \phi \approx 7^\circ \) by measuring the angular variation of the magnetoresistance in a constant field of \( \mu_0 H = 1 \text{T} \) (see inset of Fig. 3). A consistent interpretation of all three magnetoresistance curves in agreement with the SQUID magnetization curves is obtained by assuming that after saturation along a hard axis, i.e. either along an (L) or a (P) direction the magnetization is split into domains, as seen in Fig. 3(a), with a small M component along (L) due to Néel type domain walls and close to the long edge of the strip. The presence of domain walls in the remanent state is also responsible for the very similar hysteretic behaviour of the magnetization loops (Fig. 2) and the magnetoresistance curves (Fig. 3) along the (L) axis.

The distinct reduction of the remanent magnetization along the T axis below 100% due to the formation of some reversed domains (see Fig. 4(b)) has practically no effect on the magnetoresistance because the AMR scales with \( \delta R \propto \cos^2(\alpha) \) while the magnetometer measures the parallel component of the average magnetization \( M_\parallel \propto \cos(\alpha) \) where \( \alpha \) is the angle between the (T) axis and the domain magnetization.

As result we can conjecture that the spontaneous magnetization of the strips is oriented mainly transverse to the strips’ long axis. The small amount of change in resistance in a magnetic field along the transverse (T) direction means that the majority of magnetic moments already was aligned in this direction before the field was applied. The minima respectively maxima of the magnetoresistance curves show hysteretic behaviour and are mirrored according to the sweep direction of the external field.

IV. MAGNETIC FORCE MICROSCOPY

Finally, magnetic force microscopy (MFM) on a strip array directly reveals the remanent micromagnetic configuration within narrow strips (width 500 nm) of Pd\(_{0.3}\)Ni\(_{0.7}\). Fig. 4 displays magnetic force microscopy (MFM) images of an ensemble of contact strips. The MFM pictures were taken at room temperature and zero external magnetic field; the scanning direction was longitudinal to the strips (L). Prior to imaging, the sample was magnetized along the longitudinal (L) (Fig. 4(a)) or transverse (T) direction (Fig. 4(b)) by an external field of \( \mu_0 H = 2 \text{T} \) to ensure magnetic saturation.

FIG. 4. (Color online) Magnetic force microscopy (MFM) images of the remanent magnetization of an ensemble of 500 nm wide Pd\(_{0.3}\)Ni\(_{0.7}\) strips. Before recording the image, the strips have been magnetized along the directions indicated by the arrows, i.e. (a) in longitudinal (L), and (b) in transverse (T) direction. The inset in (b) shows the surface topography of the region in the white dashed square.

The pattern in Fig. 4(a), where the sample was previously magnetized in longitudinal (L) direction, features alternating domain alignment along the transverse (T) direction. This is consistent with a spontaneous magnetization in transverse (T) axis, as inferred from the SQUID and AMR measurements. This splitting in small domains in the remanent state also causes the non-zero remanence in the (L) direction observed in the SQUID data (see Fig. 2) as explained before. In Fig. 4(b), after magnetizing in (T) direction the magnetization structure in this direction is considerably more uniform. The strips feature large domains with transverse (T) magnetization direction. The remaining disintegration into domains in certain areas may be caused by, e.g., edge
roughness of the strips, supported by thermal activated processes at room temperature: in the inset of Fig. 1(b), showing the surface topography of the region marked by a white dashed square in the MFM picture, several magnetic features re-appear as height profile irregularities. Altogether, MFM imaging again confirms the findings of an easy axis along the transverse (T) direction.

V. DISCUSSION

A possible explanation for the transverse magnetic easy axis is the effect of inverse magnetostriction.\textsuperscript{25} While many mechanisms can contribute local stress during fabrication of the strips, it is already instructive to look at the highly different thermal expansion coefficients $\alpha$ of the thin film metal ($\alpha_{\text{Pd}} \approx 11.8 \times 10^{-6} \text{K}^{-1}$, $\alpha_{\text{Ni}} \approx 13.4 \times 10^{-6} \text{K}^{-1}$) and the substrate material used in this study ($\alpha_{\text{Si}} \approx 2.6 \times 10^{-6} \text{K}^{-1}$). Considering a temperature higher than room temperature during the thin film evaporation process of PdNi, tensile stress is imprinted on the metal layer when the sample is cooled down. At the edges of the strips, this stress can relax. If the strip is sufficiently narrow the relaxation of transversal stress takes place across the entire strip. Assuming a similar behaviour of Pd$_{0.3}$Ni$_{0.7}$ and pure nickel (due to the high amount of nickel in our alloy and the same crystal structure (fcc) of both elements), the magnetic moments in the strip then align orthogonal to the remaining longitudinal stress, i.e. in the transversal (T) direction, as the magnetostriction coefficient of nickel is negative for both (100) and (111) direction.\textsuperscript{25}

VI. CONCLUSIONS

As a conclusion, our work confirms in all aspects that the magnetic preferential direction of high aspect ratio Pd$_{0.3}$Ni$_{0.7}$ thin film contact strips feature a magnetically easy axis transverse to the strip orientation. This can be explained by the effect of magneto-elastic coupling. It dominates other mechanisms as e.g. shape anisotropy, which would favour a magnetically easy axis longitudinal to the strip orientation. For application of our investigated contact strips in CNT based spin devices it is therefore recommended to apply external magnetic fields in transverse direction in order to obtain a more distinct switching behaviour. Our results are well compatible with those of the complementary study by Chauceau et al.\textsuperscript{20} who did extensive micromagnetic simulations and investigated the remanent magnetization direction using XMCD experiments.

VII. ACKNOWLEDGMENTS

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While local orbital moments may lead to an exception from this rule specifically in PdNi at Ni concentrations below 50%, this is not the case for the high Ni concentration present here (see Ref. 24 for details).

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