The Emergence of the Shape Bias Results from Communicative Efficiency

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Abstract

By the age of two, children tend to assume that new word categories are based on objects’ shape, rather than their color or texture; this assumption is called the shape bias. They are thought to learn this bias by observing that their caregiver’s language is biased towards shape based categories. This presents a chicken and egg problem: if the shape bias must be present in the language in order for children to learn it, how did it arise in language in the first place? In this paper, we propose that communicative efficiency explains both how the shape bias emerged and why it persists across generations. We model this process with neural emergent language agents that learn to communicate about raw pixelated images. First, we show that the shape bias emerges as a result of efficient communication strategies employed by agents. Second, we show that pressure brought on by communicative need is also necessary for it to persist across generations; simply having a shape bias in an agent’s input language is insufficient. These results suggest that, over and above the operation of other learning strategies, the shape bias in human learners may emerge and be sustained by communicative pressures.

1 Introduction

Learning new words involves inferring what the referents are in addition to learning a mapping from these inferred referents to linguistic conventions. This is a difficult problem, famously illustrated by Quine’s (1960) problem of referential inscrutability. Yet, human children manage just fine. A common explanation is that they must be using additional sources of information to learn new words.

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One such source is inductive word learning biases, such as the shape bias, which appears in children around two years of age (Heibeck and Markman, 1987; Landau et al., 1988). This bias can be observed when children and adults are presented with a novel object and word. They will often assume that this word refers to a class categorized by the shape of the novel object. Thus, when they are presented with more exemplars they will tend to classify those that share the same shape in the same lexical category, rather than those which share the same color or texture, (Figure 1).

In this paper, we endeavor to answer two questions: how did the shape bias emerge in our lexical categorization systems? and why does it persist across generations, languages, and cultures? Using neural emergent communication agents as our model of linguistic convention formation, we show how efficient communication strategies can explain both the emergence and persistence of this bias.

Languages have been shown to follow principles of efficient communication for naming systems in a variety of semantic domains, including kinship terms (Kemp and Regier, 2012) and color terms (Zaslavsky et al., 2019). A given naming system tends to strike a perfect balance between its overall informativity and simplicity as a function of
speakers’ need to distinguish referents in that system (Kemp et al., 2018). The effects of efficient communication strategies in one semantic domain on other related domains have yet to be considered. In this paper, we demonstrate how efficient communication strategies in one semantic domain – shape – can affect the overall lexicon and lead to categorical biases, like the shape bias.

Contributions We propose an explanation for the existence and persistence of the shape bias, finding that both follow from principles of efficient communication; We develop a formal way to model the emergence of lexical categories using neural emergent communication agents\(^1\); We extend the communicative efficiency paradigm to learning contexts and consider its effects on the overall lexicon.

2 Previous Work

2.1 The shape bias in children
The shape bias is one of many inductive biases that help children learn new words (Markman, 1990). It was initially studied by Landau et al. (1988). They found that the strength of the bias depended on the age of the participants and task, generally appearing around two years old and growing stronger over time. Its acquisition has been attributed to two possible learning processes: associative word learning (Samuelson and Smith, 1999; Samuelson, 2002; Regier, 2003, 2005; Smith and Samuelson, 2006, also known as attentional learning) and conceptual learning (Diesendruck and Bloom, 2003; Booth et al., 2005; Kemp et al., 2007).

Associative learning accounts argue that children observe statistical regularities while learning a language’s lexical categories and generalize higher order lexical categorical biases – for example, by observing that all items in categories ‘bowl’, ‘cup’, or ‘spoon’ share a shape, one might hypothesise that novel lexical categories will also share this property. Conceptual learning accounts argue that the shape bias is a conceptual bias learnt by generalizing categorical features of different kinds, proposing a more abstract view of this inductive bias, that goes beyond lexical categories specifically. Importantly, both of these approaches rely on the existence of bias towards shape in the lexical or conceptual categories of the caregivers a child is exposed to in order for the shape bias to be learnt. Once learnt, this same bias can be used to form new categories, creating a chicken-and-egg problem: the shape bias helps us learn new words and language helps us learn the shape bias.

2.2 The shape bias in neural networks
Early connectionist models of associative learning demonstrated how it was possible to learn the shape bias via statistical regularities in lexical categories (Samuelson, 2002; Regier, 2003, 2005). As image recognition models developed, the shape bias peaked interest as a possible behavioral benchmark for comparing vision model recognition behavior to human recognition (Ritter et al., 2017; Hosseini et al., 2018; Geirhos et al., 2019; Tuli et al., 2021; Bhojanapalli et al., 2021). However, using this bias as a general behavioral benchmark ignores much of the work showing that it is contextually modulated and task dependant in humans; it is not a general purpose perceptual bias – i.e. we don’t necessarily have a shape bias when categorizing natural kinds like foods or substances (Imai and Gentner, 1997; Soja et al., 1991; Yoshida and Smith, 2003; Diesendruck and Bloom, 2003; Booth et al., 2005; Cimpian and Markman, 2005). With the advent of situated agents and emergent language agents, the use of neural networks to study the learning process for the shape bias reemerged, reproducing similar results to earlier connectionist models supporting associative learning (Hill et al., 2019) and demonstrating how existing perceptual biases can influence lexical category formation (Ohmer et al., 2021).

2.3 Communicative efficiency
Communicative efficiency is an information theoretic approach for explaining both semantic and syntactic linguistic typological observations (for review see Kirby et al. (2015); Kemp et al. (2018); Gibson et al. (2019)). Here, we focus on semantic domains. Languages must be informative, which means that they must allow a speaker to accurately convey intended meaning to a listener. There is a ‘communicative cost’ associated with information loss. Languages must also be simple since we have a limited amount of cognitive resources which must be properly utilized. There is a ‘cognitive cost’ associated with language with higher complexity. A language is considered to respect communicative efficiency if it follows the optimal trade-off between informativity and complexity;

\(^{1}\)All the code and data used for this paper are available at github.com/evaportelance/emergent-shape-bias.
natural languages have been found to do so for a number of structured semantic domains (Gibson et al., 2017; Zaslavsky et al., 2019; Kemp and Regier, 2012; Xu et al., 2020). This trade-off is obtained because both informativity and complexity are modulated by the likelihood of needing to communicate a given semantic distinction, which we refer to as communicative need.

Neural emergent communication agents have been shown to learn efficient linguistic mappings from structured semantic space, specifically for color naming systems (Chaabouni et al., 2021).

2.4 Neural emergent communication agents

Neural emergent communication agents have been used to study the emergence of structural linguistic properties (Andreas and Klein, 2016; Lazaridou et al., 2017; Havrylov and Titov, 2017; Kottur et al., 2017). They have also been used to model the emergence of the mutual exclusivity bias – another child word learning bias (Ohmer et al., 2020).

Initially, agents performed communication tasks that used structured input, where optimal partition were given by symbolic inputs or by using encodings from pretrained supervised vision models. These tasks only required that agents develop a coherent mapping between these features and their messages. Tasks that require simultaneously learning visual and linguistic representations – by starting from unstructured input that does not explicitly define the meanings agents must use, like pixelated images – have been found to be very difficult; agents often failed to learn any meaningful representations (Lazaridou et al., 2018; Bouchacourt and Baroni, 2018). Steels and Belpaeme (2005) and Chaabouni et al. (2021) have looked at the emergence of lexical categories using structured input, but to the best of our knowledge it has yet to be done using unstructured input.

3 A Model of Lexical Category Learning

In order to model the problem of language learning we first need a task, agent architecture, and learning procedure that allow us to simultaneously learn visual and linguistic representations. Then, we can ask how visual and lexical categorization systems biased towards shape can both (1) arise in a language, and furthermore, (2) persist across generations of language learners.

3.1 Data and task

We generated a dataset of single object images based on the CLEVR Dataset generator (Johnson et al., 2017). Objects can vary in color, shape, material and size. In addition to the existing CLEVR object features, we added 7 additional shapes, for a total of 10 possible shapes (cube, sphere, cylinder, cone, tetrahedron, torus, icosahedron, 6-sided symmetric cross, 3D L-shape, tetrahedral sphere form), 8 colors (gray, red, blue, green, brown, purple, cyan, yellow), 2 materials (metal, rubber), and 2 sizes (small, large), totalling 320 possible combinations as objects. We randomly varied object and lighting position on a 3D gray background to generate 33,000 images, 22,000 for train set and 11,000 for test set. All objects appear in both test and train but the images and perspectives of these objects vary across sets.

We use the images in our train and test sets to design communication games. Agents play a variation on the classic Lewis signalling game (Lewis, 1969) designed to study how communicative partners converge on a system of linguistic conventions referring to these objects. The game is played by a speaker (sender) and a listener (receiver). Speaker $S$ is given an image of the target object $i$ and produces a message $m = [m_1, ..., m_n]$ which is then transmitted to the listener $L$. Using this message, the listener must then try to correctly identify this target object from a set of images $I$ which contains a different perspective of the target object and additional distractor images. Thus, agents are maximally cooperative with one another. The images for each game are sampled from the previously described dataset; an exemplary game is available in Figure 2. In the following experiments, each game consists of one target object and three distractors.

3.2 Agent architecture

We describe how the vision and language components of each agent model interact (see Figure 2).
**Vision** Training agents directly on pixelated images as input is very difficult: often they are unable to learn a meaningful communication system (Lazaridou et al., 2018; Bouchacourt and Baroni, 2018). We offer a solution to this problem by taking inspiration from humans. We separate image processing into two steps: (1) image perception, and (2) image representation.

For humans, perception is dependent on physiological constraints and perceptive predispositions which are independent from language – for example newborns’ predispositions towards detecting faces (Simion and Giorgio, 2015) – while representation is intertwined with language. The distinctive features we choose to describe in an image are dependent on the tools we have to communicate them. Thus, in our agents, we adopt the approach that the perception of an image is independent of how the agents choose to represent and describe it.

For perception, we use a fixed pretrained model. Crucially, this model should not be trained using supervision to recognize specific features. We choose to use AMDIM (Bachman et al., 2019), a self-supervised learning model for image encodings. We pretrained this model on our images using its default hyperparameter settings.6

As for representation, each agent is equipped with their own representation encoder that updates during learning. For each image, the encoder takes the output of the perception module and selectively reduces it to a smaller feature vector before passing it to a language module.7

**Language** When the agent is assigned the speaker role, they receive an image of the target object \( i \) and must produce a descriptive message \( m \) for the listener. This image goes through the vision modules and the output of the representation encoder acts as the initial hidden state of the production module, a single layered LSTM. The LSTM sequentially generates the speaker’s message. At each state we sample the next character from a categorical distribution over the vocabulary. This character is then used as the input of the subsequent state to generate the next character. The cycle continues until an end-of-string character is produced or the max message length is reached. So for Speaker \( S \), we say that \( p_S(m_n) = p_S(\cdot | m_1, \ldots, m_{n-1}, i) \) for each character \( m_n \) in a message \( m \). The probability of the full message given the image of the target \( i \) is \( p_S(m|i) = \prod_n p_S(m_n) \).

If the agent is the listener, the message \( m \) generated by the speaker is used as the input of the comprehension module, here again an LSTM. The final state of the LSTM is combined by a dot product with the output of the representation encoder for each image in the set of images \( I \) of a given game. The listener receives a different image of the target object as well as 3 distractor images. The combined message and image interpretation vectors are then used to predict which image contains the target object. The listener’s guess \( i' \) is sampled from the predicted target distribution over the images in \( I \): \( i' \sim p_L(\cdot | m, I) \).

Our agents are symmetric (Cao et al., 2018; Bouchacourt and Baroni, 2019; Harding Graessler et al., 2019). This means they can alternate between module approach over previous approaches see Appendix D.
being speaker or listener. This approach allows us
to use a shared set of embeddings for the production
and comprehension modules within each individual
agent in order to represent messages. Additionally,
having symmetric agents allows us to distinguish
between two types of learning phases, selfplay and
play with other agents as described in §3.3.

3.3 Learning functions

In experiment 1, which addresses our first research
question on the emergence of the shape bias, agents
go through two learning phases: a selfplay phase
and then a regular play phase between two distinct agents.\(^8\) In the initial selfplay phase each
agent plays games alone, enacting both the role
of speaker and listener. We allow backpropagation
of gradients through the message channel from
to end to end during this phase, since they happen
within a single agent. In order to backpropagate
through the discrete communication channel, we use
the Gumbel-Softmax gradient estimator (Jang
et al., 2017) similarly to previous work on selfplay
(Foerster et al., 2016; Havrylov and Titov, 2017;
Mordatch and Abbeel, 2018; Lowe et al., 2020).

Selfplay loss \(\ell_{sp}\): we use the cross-entropy loss
on the final prediction:

\[
\ell_{sp} := -\log p_{sl}(i|I) \tag{1}
\]

where \(p_{sl}(\cdot|i,I)\) is the prediction made by the
speaker-listener chain.

Next, agents play together in a community play
phase. Since our agents are symmetric, they take
turns being either the speaker or the listener; this is
randomly assigned with each batch of games. As
they are separate agents, we do not allow gradients
to pass through the message channel during this
phase; instead we rely on reinforcement learning.

Community loss \(\ell_{c}\): The community loss is the
joint speaker \(S\) (2) and listener \(L\) (4) losses. \(S\)
updates using the accuracy reward signal given by
\(r := \mathbb{I}[i = i'] \in \{1, 0\}\), where \(i'\) is the listener’s
best guess and \(i\) is the ground truth target\(^9\). The
speaker loss \(\ell_{s}\) is:

\[
\ell_{s} := -(r - b) \log p_{s}(m|i) + \ell_{H} \tag{2}
\]

\[
\ell_{H} := \frac{c}{|M|} \sum_{n=1}^{|M|} \sum_{m_n \in V} p_{s}(m_n) \log \frac{1}{p_{s}(m_n)}, \tag{3}
\]

\(b\) is the baseline representing the mean re-
ward across previous batches. We add the speaker’s
entropy \(\ell_{H}\) as a regularizer, here \(c = 0.01\).

The listener learns using cross-entropy. The lis-
tener loss \(\ell_{l}\) is:

\[
\ell_{l} := -\log p_{l}(i|m, I) \tag{4}
\]

In experiment 2, which addresses our second
research question on the persistence of the shape
bias, we use an iterated learning paradigm which is
designed to study language evolution across gener-
ations of learners (Kirby, 2001; Kirby et al., 2014;
Li and Bowling, 2019; Cogswell et al., 2020; Ren
et al., 2020; Lu et al., 2020; Dagan et al., 2020).
For iterated learning, we introduce an additional
student-teacher play phase to those previously de-
scribed. During this phase, a student – an agent
from the current generation – and a teacher – an
agent from the previous generation – play together
like regular community play except that the teacher
agent does not update, only the student. They take
turns being the speaker and the listener. Thus, the
loss in student-teacher play either consists of the
speaker loss \(\ell_{s}\) (2) or the listener loss \(\ell_{l}\) (4) de-
pending on the role played by the student.

4 Measuring Efficiency in Neural Agents

In order to determine if agents are efficient commu-
nicators and whether the shape bias follows the
communicative efficiency trade-off, we first define
the metrics we will use to estimate communicative
need, information loss, and complexity.

There are some differences between our ap-
proach from previous metrics that should be noted
(Kemp et al., 2018). First, we do not assume that
communication between a speaker and a listener is
always successful; we are in a language learning
context where learners make mistakes. For this
reason, our informativity measure is based on com-
municative success rate, rather than the expected
cost of needing to refer to an explicit shape. Sec-
ond, we do not assume that the naming systems
these agents learn have perfect coverage. Thus, we
cannot define an explicit generative model for lex-
cal categories and count the minimum number of
rules necessary to describe a semantic system as a
complexity measure, but instead we must rely on es-
timates of mutual information (MI) between agents’
linguistic representations and the available shape
classes in our dataset. MI between linguistic rep-
resentations (words) and semantic classes (meaning)
has in fact previously been used to estimate complexity of color naming systems (Zaslavsky et al., 2019; Chaabouni et al., 2021).

**Communicative need** is defined as the proportion of ‘shape games’ played during training. A shape game is a game where the distractors and the target only differ in terms of shape (but share the same color, texture, and size), so it is necessary for the speaker’s message to encode information about shape distinction to successfully communicate the target to the listener (The same applies to color games, where the target and distractor objects only differ in terms is color). Agents trained with a higher proportion of shape games have a higher communicative need to distinguish shape classes.

**Information loss** is defined as the proportion of test games where the listener fails to identify the correct target given the speaker’s message, or \((1 - \text{accuracy})\). For example, higher accuracy on shape games means smaller information loss about shape in agents’ lexical categories.

**Complexity** is defined as the MI between class labels (the 10 shape and 8 color classes in our dataset) and agents’ language embeddings. In order to obtain the distributions over embeddings and class labels, we take the embedding of the first character of a message generated by speakers for all 11,000 test images, as well as the shape/color label for those same images. We chose to use only the first embedding as it is a good baseline for agents’ linguistic representations\(^{10}\). Given that each embedding contains multiple features (the embedding size is 64), we sum the MI estimates between each feature and the labels to get the estimated MI between the whole embeddings and labels. In this case, we use the method from Ross (2014) for estimating MI between a continuous and a discrete distribution. Higher MI indicates more similarity between linguistic representations and a given meaning space. Thus, for example, higher MI between agents’ embeddings and test image shape labels indicates a more complex set of shape distinctions in agents’ lexical categories.

5 Experiment 1: The Emergence of a Shape Bias

Our first research question asks how a bias towards shape can emerge simultaneously in both linguistic and visual representations without conditioning learning on an existing language. We hypothesise that the shape bias emerges due to communicative need and that agents use efficient communication systems when referring to complex referents.

5.1 Setup

We have two agents play the signalling games detailed in the previous section, first in selfplay and then in community play. They play 896,000 games total in each phase. Across all runs, the agent and learning hyperparameters are fixed, we only vary our independent variable, communicative need – the proportion of shape games seen during training (the non-shape games are randomly generated by sampling the target and distractors from a uniform distribution over objects). We measure information loss and complexity using agents’ final state after training. For all measures, we report mean and standard deviation across 5 random seed runs.

5.2 Results and Analysis

First, let us consider only the lexical categorization system that agents learn for shape. Figure 3.A shows us that accuracy on shape games is modulated by communicative need. As communicative need increases so does accuracy, in other words, information loss decreases. Figure 3.B shows us that complexity is also modulated by communicative need. As the proportion of shape games increases so does MI between shape labels and the first embedding of speaker messages. Figure 3.C shows us that agents develop communication systems for shape that are efficient, trading off between information loss and complexity as a function of communicative need for shape.

Second, now that we have established that agents develop efficient semantic categorization systems for shape, let us consider what happens to other semantic domains, such as color, as we increase the communicative need for shape. In Figure 3.A, we see that as we increase the communicative need for shape, the accuracy on color games decreases, showing the opposite relation to shape game accuracy. In Figure 3.B, we see the same opposite effect where as communicative need for shape increases, MI between color labels and the first embedding of speaker messages decreases. When communicative need is at 0.0 and all games are randomly sampled, agents have a strong color bias – higher accuracy on color games than shape games and higher complexity for color labels than shape labels indicate that

\(^{10}\)We considered MI between more complex representations and class labels; all show the same result pattern as this baseline (see Appendix E).
agents use a convention system that categorizes referent objects based on their color rather than their shape. However, as we increase communicative need for shape, performance on color games and MI between embeddings and color labels both drop and agents develop a strong shape bias.

As we increase communicative need for shape, we are consequently decreasing the need to distinguish color. This happens for two reasons. First, both shape and color are properties of the same set of 320 objects agents are developing a naming convention system for. If they develop a naming system that categorizes objects based on their shape, they can still use this naming system in most randomly generated games and be successful 9/10 times, without ever needing to reference color. Second, as we increase the number of shape games while holding the number of total games fixed, we are consequently decreasing the number of random games and therefore decreasing the number of color games, since about 0.001% of randomly sampled games are color games.

This suggests that higher communicative need for shape may lead to lower need to communicate other types of distinctions about referent objects, leading to the emergence of a bias towards shape in our lexical categories.

6 Experiment 2: The Persistence of a Shape Bias

Our second research question asks whether the existence of a bias towards shape in a parent’s lexical categorization system is enough to maintain that bias in new generations of learners. We hypothesize that it is not, and furthermore, propose that a constant external pressure originating from communicative need for shape is necessary in order to maintain a shape bias in lexical categorization systems across generations.

6.1 Iterated learning

We use an iterated learning paradigm that allows us to explore how agent languages shift across generations (Kirby, 2001; Kirby et al., 2014, 2015). Iterated learning involves having multiple generations of learners where each generation learns from the previous one. These paradigms usually involve some kind of ‘information bottleneck’ that forces language to evolve over time by not allowing perfect noiseless transmission of information between generations.

Different versions of iterated learning have been used with neural agents to consider how structural properties of language can evolve with cultural evolution (Cogswell et al., 2020; Li and Bowling, 2019; Ren et al., 2020; Lu et al., 2020; Dagan et al., 2020). Here, we instead consider how lexical categorization biases can evolve in agents over time.

6.2 Setup

The original generation will be composed of the agents with the strongest shape bias from experiment 1: those trained with 40% shape games. The following generations are trained in one of two condition: with 40% shape games (high communicative need for shape) or only on random games (low communicative need for shape). This setup will allow us to determine if communicative need must be maintained in order for the shape bias to
be maintained as well. At each generation, after an initial selfplay phase, agents play games with a teacher agent sampled from the previous generation before playing with each other in community play. Agents play 896,000 games per phase. We train a total of 14 generations per training condition and report mean and standard deviation across 5 random seed runs for all measures.

6.3 Results and Analysis

In the ‘high communicative need’ condition a bias towards shape is maintained across all generations (see Figure 4). Here, higher accuracy on test shape games than color games indicates that agents are using a lexical categorization system that makes more shape distinctions than color distinctions. In the ‘low communicative need’ condition, we instead observe that the shape bias disappears after 14 generations and that color game accuracy is trending upward. This suggests that given enough generations agents will eventually return to lexical categorization systems that reflect their innate color bias, observed in experiment 1. Unless the shape bias is an innate inductive bias, we expect it to disappear over time if there is little external pressure from communicative need to keep it.

7 Discussion

We have shown that a shape bias can emerge and persist across generations of emergent communication agents if there is a high enough communicative need for shape. In this final section, we address what our results may teach us about the shape bias in human learners and neural networks.

Previous work considered the lexicon one semantic domain at a time, but our simulations demonstrate that communicative need affects the structure of the lexicon as a whole. Experiment 1 showed us how the need for distinction in one semantic domain may inadvertently affect another domain and lead to categorization biases, such as the shape bias. Human learners may also experience this need for discriminating shapes in communicative contexts, which could help them learn this bias. Experiment 2 showed that without external pressures we expect that, as language evolves, learners will eventually fall back to using their innate inductive biases to form lexical categories. There is evidence that the shape bias in humans is not innate, but learnt, as it starts around two years old and grows stronger over time (Landau et al., 1988). These results suggest that the shape bias in human learners may be sustained by communicative need for shape in addition to the learning mechanisms which ensure its transmission from a caregivers’ lexical categorizations to children’s.

There are several reasons we might expect people to have a high communicative need for shape in the real world. Most importantly, there are functional reasons that motivate the use of shape distinction. In the case of artifacts, shape is often related to an affordance (e.g. ‘hammer’ refers to a class of objects which share the same shape, and that shape is what determines its use). We may often be trying to refer to objects’ functions during communication. The shape bias is in fact strongest in contexts where the referents are assumed to be artifacts rather than natural kinds, often even disappearing in the latter context (Imai and Gentner, 1997; Soja et al., 1991; Yoshida and Smith, 2003; Diesendruck and Bloom, 2003; Booth et al., 2005; Cimpian and Markman, 2005). We would predict this to be the case, since we do not expect a shape bias in contexts with low communicative need for shape.

Other types of neural networks have been shown to develop a shape bias (1) by increasing the size of models or (2) by augmenting their input data (Hosseini et al., 2018; Geirhos et al., 2019; Hill et al., 2019; Bhojanapalli et al., 2021; Tuli et al., 2021). Note that neither of these approaches can account for the bias being contextually modulated the way it is in humans. When it comes to making models larger (1), we show that it is possible for relatively small models to learn a shape bias, and furthermore, we do not find that the size of agent models affected our experiment 1 results (see Appendix G). As for using augmented input data (2), this is done by increasing the number of distinct
shapes versus other features in a dataset such that objects differ more in terms of shape than other features, for example by having fewer colors, like using black and white images. The reason these data augmentations increase shape bias is in fact because they increase the need to distinguish shapes during training instances when each training image is seen an even number of times. We show that these artificial data augmentations are not necessary if you increase the model’s need to distinguish shape through how it interacts with the data during training (see Appendix F). Thus, considering the shape distinction need probability during learning rather than using augmented data may help us develop models with a stronger shape bias while maintaining representative datasets.

In future work, we hope to address the context specificity of the shape bias and consider whether neural agents can learn to have a shape bias in some referential spaces but not others as a function of communicative need across different contexts.

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A Exemplar Images from Dataset

**COLORS**

Figure 5: All colors: blue, red, green, yellow, gray, purple, cyan, brown.

**SHAPES**

Figure 6: All shapes: cube, cylinder, sphere, tetrahedral sphere form, cone, torus, tetrahedron, icosahedron, 6-sided symmetric cross, 3D L-shape.

**MATERIALS**

Figure 7: All materials: metal, rubber.

**SIZES**

Figure 8: All sizes: small, large.

B Hyperparameters

Here are the hyperparameters tested, bolded ones are the settings we used for the experiments reported in the main paper.

**Game hyperparameters:**
- number of distractors: 3
- number of games per epoch: 6,400 / 32,000 / 64,000 / 96,000

**Learning hyperparameters:**
- number of epochs per phase: 10 / 12 / 14 / 15
- learning rate: 0.001 / 0.0001 / 0.00001
- batch size: 32 / 128 / 512 / 1024 / 2048

**Population hyperparameters:**
- population size: 2
- number of pairs: 1 (since population size is 2, only pair (0,1) is possible)
- number of generations: 0 (for experiment 1); 7, 14 (for experiment 2)
- random seed: [1:5]

**Agent vision hyperparameters:**
- image size: 128 (for image resizing)
- compression size: 256, 512, 768

**Agent language hyperparameters:**
- hidden size: 128, 256, 512
- hidden mlp size: 128, 256, 512
- embedding size: 64
- message length: 7
- vocabulary size: 60

C Model Specification

**Perception module:** AMDIM model cloned from https://github.com/Philip-Bachman/amdim-public and trained on our whole dataset for 500 epochs with 200 images per batch. We consider the ‘rkhs_1’ output layer of size 1024. This part of the model does not update during learning.

**Representation module:** An encoder composed of: a linear transformation from size 1024 (AMDIM default output size) to compression size, a non-linear Tanh transformation, a linear transformation from compression size to hidden size.

**Production module:** An LSTM Cell with input embedding size and output hidden size; A linear transformation layer from hidden size to vocabulary size. We consider the output at each state for message length states.
**Comprehension module:** An LSTM with input embedding size and output hidden size; An MLP consisting of a linear transformation from hidden size to hidden mlp size, a non-linear ReLU transformation, a linear transformation from hidden mlp size to hidden size. We consider the final state after message length states.

**Message classifier:** This is not part of the agents, but the classifier we used to evaluate complexity of different agent languages. It is composed of a single linear layer of input size message length and of output size number of shape(10)/color(8) categories.

**Simple CNN vision module:** This module is not contained in our regular agents but used in our experiment in appendix C where we compare our vision setup to this simple CNN setup. This module can replace the perception and representation modules defined above. It is composed of: A Conv2D layer with 3 input channels, 20 output channels, a kernel size 5 and stride of 1; A ReLU non linear transformation; A max pool 2D layer with kernel size 2 and stride of 2; Another Conv2D layer with 20 input channels, 50 output, kernel of 5 and stride of 1; A ReLU non linear transformation; A max pool 2D layer with kernel size 2 and stride of 2; A batchnorm2D layer; a two layered MLP with dropout at 0.7 that reduces the output to hidden size.

**Optimizer:** We used an Adam optimizer across all models during training (Kingma and Ba, 2014).

### D Model and Learning Procedure Development

The developmental experiments reported in this section were completed using an earlier version of our dataset which only contained 10,000 images that varied in shape (3 possible shape), color (8), material (2), and size (2). The following experiments were also conducted using slightly different hyperparameters from those used in the main paper.

#### D.1 Vision Module Comparison

We compare our vision module approach to previous ones which involved training a simple multi-layered CNN type architecture that processes the images while also learning to communicate about them (Lazaridou et al., 2018). This previous approach was notoriously difficult to train and could not guarantee that agents would manage to converge on any communication system at all. We find that using our perception/representation split with pretrained AMDIM allows us to guarantee quick convergence on a successful language, while we could not manage to converge on any successful communication system with the simple CNN setup in so few games, see Figure 9.

#### D.2 Learning functions comparison

We explore the effects of different learning functions and play phases on agents’ capacity to learn to communicate successfully to find effective and efficient learning approaches. Within a single generation, we consider two types of play: regular game play between two agents – called community play (§D.3) – and a form of single-agent play – selfplay (§D.4). In iterated learning across multiple generations, we consider different forms of student-teacher interactions, aka intergenerational play phases (§D.5), in addition to regular intragenerational community play. For each of these phases – community play, selfplay, intergenerational play – we define a set of possible learning functions.

#### D.3 Community play

We test two different learning functions in § D.6.

**Accuracy loss \( \ell_{\text{ACC}} \):** The first loss jointly updates the speaker S in (5) and the listener L in (7) using the accuracy reward signal given by

\[
\ell_{\text{ACC}} := \mathbb{1}[i = i'] \in \{1, 0\},
\]

where \( i' \) is the listener’s best guess and \( i \) is the ground truth target. This strategy is standard and has previously been used in both the single generation and iterated learning contexts (Lazaridou et al., 2018; Li and Bowling, 2018).
We compare three types of student-teacher learning while still using the accuracy-reward based updates across previous batches. We add the speaker’s entropy as a regularizer: $\ell_H$, where $c$ is a coefficient between 0.1 and 0.01 that varies based on the reward $c = 0.1 - 0.1|r - b|$. We follow up with the listener-accuracy loss $\ell_{LA}$:

$$\ell_{LA} := -(r - b) \log p_{s}(i'|m, I)$$  \hspace{1cm} (7)

The accuracy loss is obtained by summing the speaker-accuracy and listener-accuracy losses: $\ell_{ACC} := \ell_{SA} + \ell_{LA}$.

**Cross-entropy loss $\ell_{CE}$:** The second approach allows the listener to learn using cross-entropy (8), while still using the accuracy-reward based updates for the speaker (5). We now define the listener-cross-entropy loss $\ell_{LC}$:

$$\ell_{LC} := - \log p_{s}(i|m, I)$$  \hspace{1cm} (8)

Cross-entropy loss is the sum of the speaker-accuracy loss and the listener-cross-entropy loss: $\ell_{CE} := \ell_{SA} + \ell_{LC}$.

**D.4 Selfplay**

Unlike in community play, selfplay only involves a single agent that plays both the role of the speaker and the listener. We allow backpropagation of gradients through the message channel from end to end. In order to backpropagate through the discrete communication channel, we use the Gumbel-Softmax gradient estimator (Jang et al., 2017).

**Selfplay loss $\ell_{SP}$:** we simply use the cross-entropy loss on the final prediction:

$$\ell_{SP} := - \log p_{SL}(i|i, I)$$  \hspace{1cm} (9)

where $p_{SL}(\cdot|i, I)$ is the prediction made by the speaker-listener chain.

**D.5 Intergenerational play**

We compare three types of student-teacher learning interactions.

**Student-teacher play:** Student-teacher play is like community play except one of the agents is from the previous generation, while the other is from the current one. The teacher agent does not update, only the student can learn. They take turns being the speaker and the listener. Thus, the loss in student-teacher play either consists of the speaker-accuracy loss $\ell_{SA}$ (5) or the listener-cross-entropy loss $\ell_{LC}$ (8) depending on the role played by the student.

**Imitation-selfplay loss $\ell_{ISP}$:** Here we combine selfplay with teacher message imitation. We introduce a reward if the student produces a message that is similar to what a teacher would produce given the input image. This similarity reward is given by taking the normalized Levenshtein distance (Levenshtein, 1966) between the student message $m^s$ and the teacher message $m^t$.

$$\sigma(m^s, m^t) := 1 - \frac{\text{lev}(m^s, m^t)}{|m^s|}$$  \hspace{1cm} (10)

We use this similarity reward to motivate the student to speak in a fashion similar to the teacher. This leads to the student-teacher-similarity loss $\ell_{STS}$:

$$\ell_{STS} := -(\sigma(m^s, m^t) - b) \log p_{s}(m^s|i) + \ell_{H}.$$  \hspace{1cm} (11)

The student-teacher-similarity loss is added to the selfplay loss (9) to build the imitation-selfplay loss: $\ell_{ISP} := \ell_{STS} + \ell_{SP}$.

**Imitation-KD loss $\ell_{IKD}$:** Knowledge distillation is a form of selfplay where the student tries to learn from its mistakes using the teacher’s feedback. Instead of trying to fit its predictions to the ground-truth label of the game $i$, the student tries to fit them to the predicted choices of the teacher given the student’s messages, $i'$, where $i' \sim (p_{k}^{t} (\cdot|m^s, I))$. Like selfplay, this method involves a single student agent playing both the speaker and the listener and is therefore differentiable end to end. The knowledge-distillation loss $\ell_{KD}$ is the cross-entropy loss with $i'$ as our target image:

$$\ell_{KD} := - \log p_{SL}(i'|i, I)$$  \hspace{1cm} (12)

The student imitates the teacher’s listening capabilities but also has to imitate its speaking abilities, and thus, the imitation-KD loss $\ell_{IKD}$ combines both the knowledge-distillation loss and the student-teacher-similarity loss (11): $\ell_{IKD} := \ell_{STS} + \ell_{KD}$.
D.6 Training generation zero

Our goal in this experiment is to compare the two learning functions defined for community play in D.3, the accuracy loss \( \ell_{\text{ACC}} \) and the cross-entropy loss \( \ell_{\text{CE}} \), in addition to the effect of introducing an initial selfplay phase prior to community play. We compare four different learning strategies: community play with the accuracy loss, community play with the cross-entropy loss, and then each of these again with an initial phase of selfplay. Within each setup the population, or pair of agents, is trained for 20,000 steps, each with 32 games. In the selfplay case, the first 10,000 steps are dedicated to selfplay and the rest to community play.

Results: We ran each learning strategy 5 times with different random seeds. We report mean performance and the standard deviation across runs. Figure 10 illustrates game accuracy on the test set of unseen combinations in community play based on the number of games played during training. Models with selfplay start halfway as they have spent the first 320,000 games in a selfplay phase (Figure 11). We find that using the cross-entropy loss during community play leads to much higher accuracy and less variance between runs than using the accuracy loss. Additionally we find that having an initial phase of selfplay ultimately leads to more effective communication during community play.

D.7 Iterated learning

In iterated learning we consider learning across multiple generation. In this experiment we test the effect of the different learning functions defined in D.5 during intergenerational play on eventual intragenerational community play. We consider three different intergenerational learning strategies: (1) student-teacher play phase using the cross-entropy loss \( \ell_{\text{CE}} \); (2) imitation-selfplay using the imitation-selfplay loss \( \ell_{\text{ISP}} \); (3) knowledge distillation using the imitation-KD loss \( \ell_{\text{IKD}} \). We follow each intergenerational play phase by intragenerational community play where we use cross-entropy loss \( \ell_{\text{CE}} \). The initial generation of teachers for all models is trained using an initial selfplay phase followed by the community play phase. At each subsequent generation, student agents are randomly initialized while the teacher agent is randomly sampled from the previous generation. We train each model for a total of 8 generations (generation zero + 7 student-teacher generations). Each generation was trained for an initial 2,000 steps of 32 games of their respective form of intergenerational play followed by 2,000 steps of community play.

Results: We ran each setup 5 times with different random seeds. We report the mean performance and standard deviation across runs. Figure 12 shows mean accuracy on community play across all generations, while Figure 13 zooms in on generation 7. In Figure 12 compares each intergenerational learning strategy’s effect on the subsequent phase of community play at each generation. we see that, as expected, performance drops at each new generation before climbing back up. Between each of these generation ‘drops’, we train the models for a phase of intergenerational learning using their respective learning function. The most effective learning approach seems to be imitation-
selfplay loss $\ell_{ISP}$. However, a closer look at Figure 13 shows that it is also worth considering simply using student-teacher play since there is no significant difference between imitation-selfplay and student-teacher play. Furthermore, we find that agents trained with student-teacher play have an initial advantage when they start their community play phase, starting above chance, around 0.45.

Figure 12: Mean accuracy on test during community play across all seven generation. Chance performance is 0.25. Standard deviation is not reported here for clarity.

Figure 13: Accuracy on test during generation 7’s community play.

E Mutual Information Estimates

We want to measure mutual information (MI) between linguistic representations and meanings as an estimate of complexity. It is clear that we can consider the color/shape label of the images in our dataset as the intended meanings, however it was less clear what level of linguistic representation we should consider. We decided to test multiple: (1) the embedding of the first character generated by a speaker for each image, (2) the predicted class of a linear classifier trained on the embedding of the first character generated by a speaker for each image, (3) the whole message generated by a speaker for each image (using the character with highest probability at each step), and (4) the predicted class of a linear classifier trained on the whole message generated by a speaker for each image.

Figure 14: MI between (1) first character embeddings and labels.

Figure 15: MI between (2) predictions of probe trained on first character embeddings and labels.

Figure 16: MI between (3) whole messages and labels.
All of these linguistic representations had the same mutual information result pattern, so we chose to report the simplest of these measures in the main paper.

**F Experiment 1B: More Shapes**

We test whether increasing the difference in number of shapes versus colors overall in the image dataset leads to higher shape game accuracy (see Figure 18). We find that it does. We check whether this advantage disappears if we control for shape informativity by increasing the communicative need for color to 10% to counterbalance the increased number of shapes. We find that the increase in shape game performance disappears, suggesting that data augmentations, in the form of more shape classes, to induce shape bias, lead to a bias not because of increased number, but because the increased number of shape classes leads to higher need to distinguish shape categories. We ran 3 random seed runs for each and report mean and standard deviation.

**G Experiment 1C: Model Size**

We compare three different agent model sizes (see Figure 19. The middle size, with 256 as its hidden size, is the model size used in the main paper experiments. The smaller model, with hidden size 128, is half the overall size of the middle one, and the larger model, with hidden size 512, is about twice the size of the middle model. We ran 2 random seeds for each and report the mean. We found that the emergence of a shape bias was modulated by communicative need for shape in all cases, regardless of the model size.