Hidden spin-orbital texture at the $\bar{\Gamma}$-located valence band maximum of a transition metal dichalcogenide semiconductor

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Finding stimuli capable of driving an imbalance of spin-polarised electrons within a solid is the central challenge in the development of spintronic devices. However, without the aid of magnetism, routes towards this goal are highly constrained with only a few suitable pairings of compounds and driving mechanisms found to date. Here, through spin- and angle-resolved photoemission along with density functional theory, we establish how the $p$-derived bulk valence bands of semiconducting 1T-HfSe$_2$ possess a local, ground-state spin texture spatially confined within each Se sublayer due to strong sublayer-localised electric dipoles orientated along the $c$-axis. This hidden spin-polarisation manifests in a ‘coupled spin-orbital texture’ with in-equivalent contributions from the constituent $p$-orbitals. While the overall spin-orbital texture for each Se sublayer is in strict adherence to time-reversal symmetry (TRS), spin-orbital mixing terms with net polarisations at time-reversal invariant momenta are locally maintained. These apparent TRS-breaking contributions dominate, and can be selectively tuned between with a choice of linear light polarisation, facilitating the observation of pronounced spin-polarisations at the Brillouin zone centre for all $k_z$. We discuss the implications for the generation of spin-polarised populations from 1T-structured transition metal dichalcogenides using a fixed energy, linearly polarised light source.
Spintronic devices aim to exploit the spin quantum number of an electron rather than the charge. Their operational principles are underpinnned by a reversible external stimulus to which electrons of opposing spin species respond oppositely. In non-magnetic systems the task of finding such stimuli is not straightforward due to the presence of time-reversal symmetry (TRS: $E(k, \uparrow) = E(−k, \downarrow)$ where $E$, $\pm k$, and $\uparrow\downarrow$ denote the electron energy, momentum and spin respectively), enforcing a net-zero spin polarisation for all electronic bands across a material. One way to achieve this is by enforcing a net-zero splitting of the $\Gamma$ point of the electronic structure due to a strong localisation of the $d_{xy}$ and $d_{x^2−y^2}$ wavefunctions to within a single 1H-sublattice27−29, with similar phenomena observable in other centrosymmetric compounds30−32. However, the transition to the 2H-TMD structure shifts the valence band maximum from the $\Gamma$ point to the time-reversal invariant momentum (TRIM), $\Gamma$, complicating the generation of clean spin-currents in the bulk compounds.

Here, we search for an analogous hidden spin mechanism in 1T-TMDs. Through spin- and angle-resolved photoemission (spin-ARPES), we show that time- and inversion-symmetric 1T-HfSe$_2$ exhibits a hidden spin-polarisation in the $\Gamma$-centred Se $p$-derived valence bands originating from the asymmetry of a single 1T unit cell along the $c$-axis. Remarkably, though, we show how this spin-polarisation persists through the $\Gamma$ point of the surface Brillouin zone and retains the same sign for $\pm k$ vectors. Our density functional theory (DFT) calculations show how this effective net spin-polarisation is of entirely non-magnetic origin, instead deriving from local spin-orbital mixing within the $p$-orbital manifold, aided by a selective coupling of linearly polarised light to subsets of $p$-orbitals, and therefore to a partial ground state spin-texture.

**Results and discussion**

**Hidden spin mechanism in 1T-structured TMDs.** Figure 1 compares the hidden spin mechanism in 2H and 1T structured bulk TMDs using 2H-WSe$_2$ and 1T-HfSe$_2$ as examples. In the 2H structure, the triangularly coordinated X atoms either-side of the MX$_6$ octahedron are orientated identically within a single sublayer. This causes a charge imbalance orientated parallel to the layers, breaking inversion symmetry on a local scale. Figure 1b schematises the resulting layer-resolved electronic structure. The Rashba effect produces a spin-polarisation in the directions perpendicular to any applied field36, here producing an out-of-plane Zeeman-like splitting in the W $d_{xy}$ and $d_{x^2−y^2}$-derived bands at the $\Gamma$ points, reversing sign at the $K$ points in accordance with TRS. The spin-polarisation is exactly opposite in the second sublayer, and therefore non-zero spin polarisations are uncovered only for surface sensitive probes of electronic structure.

For the 1T-structure, the chalcogen sublayers are 180° rotated from one-another either side of the transition metal plane. Charge is thus equally distributed across a single X-M-X layer and the 1T structure is inversion symmetric down to a single monolayer. A net dipole now exists out-of-plane, however, switching sign about the M plane. While the spatial scales for this local inversion symmetry are very small, previous studies have predicted that hidden spin physics can arise in 1T-TMDs37, with a local in-plane Rashba polarisation verified in the Se $p_{\uparrow\downarrow}$-derived bands of monolayer 1T-PlSe$_2$ by spin-ARPES38, in-line with that schematised in Fig. 1d for the top and bottom sub-layers. For a bulk system, the presence of hidden spin polarisation is yet to be confirmed. For the present case, Hf is amongst the least electronegative of all transition metals, producing a particularly strong electric dipole across a Hf-Se bond. The degree of spin-
of the bulk BZ, respectively. The dispersion in the A-Γ-A plane lies perpendicular to the zone (SBZ) schematics with high symmetry points labelled. The surface hybridisation gap is formed. Note the lack of a visible surface state experimental data in the low h band is labelled, along with the hybridisation gap (HG). indicated to the right of the image. The irreducible representation for each along the is in the the group IV TMDs to which HfSe2 belongs, the transition metal conduction band minimum (CBM) located at the Se-derived valence band maximum (VBM) and Hf-derived orbital-projected DFT calculations, re-scaled in energy by 25%, and offset in ( and ) from the valence band maximum at 3.8 eV. This band crosses through the p-derived states in the vicinity of the VBM. We attribute this band to be of Se p derivation, with enhanced hopping along the c-axis deriving from the extended spatial extent of p orbitals into the van der Waals gap. The remaining two-dimensional band visible at is not of relevance here.

As a point of interest, we note that this crossing pattern between three-dimensional chalcogen p-derived bands and quasi two-dimensional chalcogen p bands along this rotationally symmetric Γ-A line is known to generically generate highly tunable so-called ‘topological ladders’ across the TMD family. In short, due to the influence of trigonal crystal field on the chalcogen p-orbital manifold, the crossing between each p-derived band with each pair of p-derived bands produces a single symmetry-protected bulk crossing point (or so-called bulk Dirac point), and a hybridisation gap (HG) which is often topologically non-trivial. Figure 2b, we enhance the region of the band dispersion where the crossing pattern occurs and overlay orbitally-projected DFT calculations. Each band is labelled with the corresponding space group representation. A HG between the p-derived band (labelled ) and the lower energy p-derived band ( ) is clear, although there is little evidence of a two-dimensional state occupying the gap. This suggests a topologically trivial classification for the HG. It follows that a crossing between the p-derived band and the top-most p-derived state would generate bulk Dirac points symmetrically located about . However, due to a suppression in the photoemission matrix element of the band in the vicinity of the point, we cannot rule out that it avoids entirely. In other words, the presence of bulk Dirac points in this compound is dependent on whether or not the valence band top is of p character. Our DFT calculations, which account for electron correlation effects (see Methods), predict that this crossing point does occur, with a 20 meV gap separating the p-derived VBM and the p-derived band below at the point. The valence band top of HfSe2 can therefore be described as a pair of closely-spaced type-II bulk Dirac cones of the same origin as those widely studied in the (semi-)metallic group X TMDs, recently found to have applications in THz optoelectronics.

In Figure 2d-g, we turn to the in-plane band dispersions of these Se p-derived states along the K-T-K direction of the surface BZ for various photon energies corresponding to k planes between A and Γ. The significant in-plane dispersion of the relatively sharp p-derived bands is clear, sitting against a background of diffuse spectral weight forming umbrella-like dispersions down to approximately at each case. While a chosen photon energy will selectively excite a specific k plane, due to the surface sensitivity of our photoemission experiments, the envelope of k integration can span over several BZs. The severity of this effect correlates to the extent of the band dispersion along k. The k broadened spectral weight in Figure 2d-g is therefore predominantly of p character. In Supplementary Fig. S1 (See Supplementary Information), we further explore the symmetry of the pair of p-derived bands as they disperse in-plane as function of photon energy. While these bands are very two-dimensional relative to the p-derived band,
there is a periodic evolution in how these bands disperse away from the Γ point as a function of $k_z$, providing further confirmation that these are indeed bulk states.

**Apparent time-reversal symmetry breaking in HfSe$_2$** Next, we turn to the spin-polarisation of the bands discussed in the previous section. There are several possible sources of spin-polarisation here. The 1T-structured TMDs are known to have several surface states both topologically trivial and non-trivial with complex band dispersions due to the influence of the dense $k_z$-projected bulk band manifold$^{41}$. Any such states are permitted to be spin-polarised due to the inversion asymmetry offered by the surface potential step. These should be Rashba split with a predominantly in-plane momentum-locked chiral spin texture. We note that there is little evidence of surface states in the data presented in Fig. 2, and so this origin is unlikely. The other source is a spin-polarisation of bulk bands caused by the hidden-spin mechanism discussed in Fig. 1. Although unobserved to date, this too should produce a predominantly in-plane chiral spin texture, and is expected to be most prominent in the $p_{x,y}$-derived valence bands which are more likely to have sufficiently localised wavefunctions, as evidenced by their relative two-dimensionality (Fig. 2). Finally, we note that the superposition of incoming and reflected wavefunctions from the surface potential step in elemental metals has been demonstrated to result in observable Rashba-type spin polarisations of bulk bands when probed by ARPES, with an analogous mechanism possibly applicable to other systems$^{47,48}$. We stress that measured spin-polarisations deriving from any of these origins should be strictly time-reversal symmetric.

In Fig. 3a, spin-resolved energy distribution curves (spin-EDCs) are shown on each side of the time-reversal invariant momentum Γ along the $\Gamma - M$ ($k_z$) direction, alongside a spin-integrated band dispersion taken with 29 eV photons corresponding to a $k_z$ plane where the $p_z$ band is at the shallow binding energy turning point (Fig. 2b). Accounting only for the exponential attenuation of the emitted photoelectrons, for this photon energy we estimate that 45% and 64% of the photoemission intensity will originate from the top sub-layer of the unit cell, and from sub-layers equivalent to the top sub-layer, respectively$^{49}$. This is sufficiently sensitive to probe any hidden spin polarisation, even when assuming purely destructive interference between the two structure types. We note, however, that the interference pattern is likely far more complex$^{27}$. There are five bands labelled in the central ARPES image. The states B1 and B2 together form the valence band top of HfSe$_2$ for this photon energy. B1 is the $p_{z}$-derived band, originating from the shallow-energy turning point along $k_z$, which is less dispersive in-plane. B2 is the shallow binding energy $p_{x,y}$-derived state from previous discussions, forming a narrower parabola in the vicinity of the VBM. B4, also very dispersive in plane, is the second $p_{x,y}$-derived state from previous discussions. The high binding energy apex of the $p_z$-character, $k_z$-broadened spectral weight (originating from the turning point of the $p_{z}$-derived band in $k_z$ near the A point) is labelled as B5. A final band, B3, visible only at higher $|k_z|$ values, appears to form a pair with either B1 or B2, separating only away from Γ. This description is consistent with a splitting of both $p_{x,y}$-derived states shown in earlier DFT studies$^{39}$, but we note that there are other possible origins: A localised turning point or plateau in the $k_z$ dispersion of B1 or B2 could give the impression of a separate, distinct band in $k_z$-broadened spectra. Although less likely, we also note that a single-branch state that disperses exactly through the $k_z$-projected type-II Dirac nodes was observed by ARPES in both PtTe$_2$ and PtSe$_2$, and was not replicated by the accompanying band structure calculations$^{30,41}$.

Although not well understood, one may expect a similar state here given the common origin of the Dirac nodes.

Turning attention to the spin-EDCs, it becomes clear that all five of these states are spin-polarised, with signal in each of the photoemission intensity. B1 and B2 have an opposite, predominantly in-plane, spin-polarisation when probed by ARPES, with an analogous mechanism possibly applicable to other systems$^{47,48}$. We stress that measured spin-polarisations deriving from any of these origins should be strictly time-reversal symmetric.

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A second set of spin-EDCs is displayed for a $k_z$ point on the other side of $\Gamma$. Astonishingly, the direction of the spin-polarisation of all states remains unchanged when transitioning from $-k_z$ to $+k_z$, strongly suggesting a TRS-breaking spin texture for each state. To further investigate the apparent TRS breaking, Fig. 3b–d show spin-EDCs taken at the $\Gamma$ point ($k_z = k_y = 0$) for a series of photon energies covering approximately one $\Gamma$–$A$ line in $k_z$. As both $A$ and $\Gamma$ are TRIM points, all bands along the entire $A$–$\Gamma$–$A$ line should be entirely spin degenerate in the absence of magnetism. Figure 3b, c show measured spin-polarisations in the $z$ and $x$ channels respectively as a function of photon energy, with the spin-integrated ARPES image overlaid as an intensity filter (note the two-dimensional colour bar). The spin-EDCs in Fig. 3d are select EDCs from these same datasets along with higher energy EDCs taken with $hv = 29$ and 39 eV. Despite conventional wisdom stipulating that there should be strictly no spin-polarisation at $\Gamma$ for any choice of $k_z$, these data unambiguously demonstrate that the bands discussed previously retain a strong non-zero spin-polarisation both at the $\Gamma$ point and for all $k_z$. We believe this is the first such observation of $\Gamma$ point spin-polarisation in a non-magnetic system. We note that the persistence of spin polarisations that remain largely unchanged for a large range of incident photon energies precludes a final state origin.\(^{50}\)

While these observations are seemingly at odds with the fundamental symmetries possessed by this compound, it is possible to reconcile the experimentally-obtained spin texture with a hidden-spin mechanism that is entirely respectful of TRS. The solution has two distinct parts, requiring both the consideration of individual $p$-orbital contributions to the overall spin texture, and the role played by orbital-selective photoemission matrix elements.

**Local spin-orbital magnetisation in HfSe$_2$ subcells.** In attempt to uncover the origin of the apparent TRS-breaking shown in the previous section, in Fig. 4a, we display the spin-resolved valence electronic structure for HfSe$_2$, as determined by DFT (See Methods) for HfSe$_2$ along the $M$–$\Gamma$–$M$ direction. The chiral component of spin, parallel to $k_z$, here, is projected onto the top (1) and bottom (2) Se lattice sites, verifying the presence of a hidden spin mechanism in this compound.

The electronic structure of the valence bands itself arises from the interplay of the $C_{3v}$ crystal field and spin-orbit interaction (SOI). The former acts on both $B$ and $A$ groups individually, splitting each into two sub-manifolds ($p_x$, $p_y$) and $p_z$. Mixed by SOI, they further reduce to three doubly degenerate $[J, \pm m_J]$ branches with $J = 3/2$ and $1/2$, and $1/2 \leq m_J \leq J$. Of highest relevance here is the AB group, composed of the three shallowest-binding energy bands in Fig. 4a. The Se sublayer-localised chiral spin textures demonstrate the symmetry-imposed interplay between the underlying lattice with the spin and orbital degrees of freedom of the occupying electrons. The two sites have opposite chiralities to respect the overall TRS and global IS of the system, consistent with the simplified Rashba-model discussed in Fig. 1d.

In-line with previous predictions\(^{37}\), these calculations show, therefore, that a sufficiently sensitive probe of the electronic structure would indeed measure a non-zero-spin-polarisation of the near-$E_F$ Se $p$-derived bands, exactly switching from Se1 to Se2, but clearly do not predict symmetric spin-polarisations of any state at and around $\Gamma$ like those observed experimentally in Fig. 3. The behaviour of the $p_z$-derived state is well reproduced, however, exhibiting a finite spin-polarisation despite the expectation of a more delocalised wavefunction along the $c$-axis relative to the $p_{x,y}$-derived bands. This is further explored in Fig. 4b, where the $k_z$-projected band dispersion shows how a hidden spin-polarisation of all bands is present for all $k_z$, with a reversing polarisation of the $p_z$-derived between the turning points of its $k_z$-dispersion, and with an enhanced polarisation magnitude relative to the intermediate $k_z$ planes. This behaviour highlights the significant role played by spin-orbital mixing within the Se $p$-orbital manifold.

Now let us consider the distinct individual $p$-orbital contributions to the hidden spin-polarisation shown in Figs. 3 and 4. This distinction is significant for two reasons. Firstly, the driving force behind the hidden spin mechanism in the $IT$ class of TMDs is the $c$-axis aligned net electric fields within each $C_{3v}$-symmetric HfSe$_6$ octahedron. The orthogonal Se $p_{x,y}$ orbitals within each Se sublayer experience the trigonal field disparately, and so this asymmetry should be reflected by the individual $p$-orbital contributions to the spin texture of the locally Rashba-split $p$-derived bands. Inequivalent orbital contributions to a global spin texture, or ‘coupled spin-orbital textures’, have been previously discussed in the context of the ‘giant’ Rashba-split semiconductor Bi$_2$Te$_3$ and the topological insulator Bi$_2$Se$_3$.\(^{31–34}\) Secondly, while the total $p$-orbital contribution to the $\Gamma$ point would still be expected to sum to zero in accordance with TRS, orbitals are not excited equally in the photo-excitation process. Indeed, if one considers any single band in Fig. 4 without its energy-degenerate partner, a spin-orbital magnetisation is uncovered, with the $p_x$ and $p_y$ contributions to the spin polarisation at the $\Gamma$ point finite and exactly opposite. An orbital-selective probe of electronic

![Fig. 4 Se-site projection of the electronic structure from Se $p$-orbitals.](image-url)
structure, applicable to the present experiment as explained in the next section, could then selectively probe the spin-texture partially and thus detect a net spin polarisation at Γ. However, the energy degenerate partner behaves exactly oppositely, negating this effect.

Instead, motivated by the substantial contribution of the p_z-derived band in both Figs. 3 and 4, we further explore the role of spin-orbital mixing terms between constituent p-orbitals. To facilitate this, we form a 12-band tight-binding model from the \(|J; m_j\) states, \(\psi_i = \sum_j m_j a_j |J; m_j\). This framework, detailed in full in Supplementary Note 2 (See Supplementary Information), enables the computation of individual Se p-orbital contributions to the three component i = \([x, y, z]\) spin-polarisation localised at each Se site, \(a\), using \(S_{ia} = \langle \psi_{ia} | a_j | \psi_{ia} \rangle\), where \(a_j\) are Pauli spin matrices.

Restricting the problem to the vicinity of a single Se layer, we find four overlap integrals \((J; m_j) \langle J'; m_j' | J; m_j\rangle\) with non-vanishing values at the Γ point. These terms obey \(\Delta J = J - J' = 0\) or 1 and \(\Delta m_j = m_j - m_j' = 2\). All the other overlap integrals vanish at the Γ point due to TRS (see Supplementary Note 2 in Supplementary Information for a full derivation). The resulting spin polarisation from these four terms undergoes a sign reversal when switching between Se sites, ensuring full compliance to TRS and IS. A careful inspection of the above \(\Delta J\) and \(\Delta m_j\) constraints reveals that only the spin-orbital terms mixing \(p_x p_z\) and \(p_z\) submanifolds can contribute to such a non-vanishing spin polarisation at a time-reversal invariant momentum. This finding further signifies the critical role of \(p_z\) orbitals in the electronic and spin structures of the low energy bands in HfSe_2. It should be noted that all overlap integrals can hold finite contributions away from the Γ point, altogether producing the chiral spin textures shown in Fig. 4.

Figure 5a, b show the spin-projected band structure stemming from these \(\Delta J = 0\) and 1 terms, denoted as \(S_i^1\) and \(S_i^2\), respectively, for the chiral \(\langle \sigma_z \rangle\) component at Se_1. These exhibit symmetric spin-polarisations about \(k = 0\) as for the experimentally determined spin texture. This suggests that orbital mixing of in-plane and out-of-plane orbitals is the driving force behind the experimentally-observed symmetric spin-polarisations. It is noteworthy that these two in-equivalent contributors are not opposite, with their sum and \(k_x\)-projection shown in Fig. 5c, d. This demonstrates that a small net spin-polarised contribution to the BZ centre detectable even to a probe of electronic structure blind to orbital type. The two non-zero contributions to the spin-texture can be tuned between, however, and therefore enhanced, with a linearly polarised light source. This provides a convenient way to further verify this description, and explore routes towards the tunability of this effect for applications.

**Disentangling local spin-orbital textures at \(\Gamma\)**. To experimentally confirm that the hidden spin-orbital textures, driven by the spin-orbit mixing between \(p_x\) and in-plane \(p_{xy}\) orbitals, are indeed the source of the observed spin-polarisation, we can tune the orbital selectivity of the experimental probe and test that the measured spin polarisation responds accordingly. The photoemission matrix element for a transition between an initial \(i\) and final \(f\) is given as \(|M_{ij}^p|^2 \propto |\langle \phi_i^p | \vec{A} \cdot \vec{p} | \phi_f^p \rangle|^2\), where \(\phi_i^p\) and \(\phi_f^p\) are initial and final state wavefunctions for an electronic band and \(\vec{A}\) are the vector potential and the momentum operator, respectively\(^6\). This integral is required to be of overall even parity to be non-zero. Assuming an even parity final state, this integral is non-zero for initial state \(p_x\) and \(p_z\) orbitals with \(p\)-polarised light source. Switching to \(s\)-polarised light would probe \(p_{xy}\) orbitals in isolation. Therefore for either choice of linear light polarisation, the ground state spin-orbital texture is only partially probed, aiding the observation of apparent time-reversal symmetry breaking spin textures.

In Fig. 6, we continuously rotate our sample in the \(x-y\) plane while keeping a fixed \(p\)-polarised light source. A rotation of \(\pi/2\) switches the parity of the photoemission matrix elements for \(p_x\) and \(p_{xy}\) orbitals, while leaving that for \(p_z\) orbitals unchanged. By performing a series of spin-EDCs at \(\Gamma\) as a function of the in-plane sample azimuthal angle \(\theta\) with a spin-detector capable of probing the spin-polarisation in all three-directions, it is, therefore, possible to evaluate the spin-polarisation contribution from \(p_{xy}\), \(p_x\), and \(p_z\) orbitals in full, here allowing for the tuning the relative weight of the contributions from \(S_i^1\) and \(S_i^2\) overlap integrals due to their in-equivalent in-plane orbital contributions.

Figure 6 provides an overview of the Γ point spin polarisation as a function of \(\theta\) for 17 eV photons, where the spin polarisation is particularly clear, as also seen in Fig. 3d. Figure 6a shows the valence band structure along a \(\overline{M}-\overline{\Gamma}-\overline{M}\) path. There are two bands visible at \(\Gamma\) with energies \(E - E_0 = -1.3\) and \(-1.9\) eV. By cross-referencing to the spectra in Fig. 3, it can be determined that, at \(\Gamma\), the top band labelled \(v_1\) is an amalgamation of up to three (doubly-degenerate) bands, previously labelled as B1, B2 and B3. The lower band, labelled \(v_2\) is likely predominantly made up of band B4 discussed previously. Figure 6b shows a series of three-component spin-EDCs measured at 30 degree increments in \(\theta\). For clarity, we fix the \(k_y\) and \(k_z\) plane to be parallel and perpendicular to the initial \(\overline{M}-\overline{\Gamma}-\overline{M}\) orientation at \(\theta = 0\), respectively. The spin components \(S_x\), \(S_y\) and \(S_z\) are the measured spin signals in this fixed laboratory reference frame.

A subset of the resulting series of spin-EDCs are shown in Fig. 6b–f. There is clear periodicity to the measured spin
The in-plane sample rotation, \( \pi \), is indicated in each case. The \( x \), \( y \), and \( z \) components are shown in the left, middle, and right-hand columns, respectively.

The measured spin-polarisation functions to be strictly of \( \pi/2 (\pi) \) periodic. The measured \( S_y \) polarisation is \( \pi \) periodic for both \( v_1 \) and \( v_2 \). We note that the measured spin-polarisation functions only satisfy the simplified TRS-conserving model if there is a \( p_z \) contribution to the spin-polarisation. Due to the effective double-counting of the \( p_z \) contribution as the sample is rotated, the spin-polarisation functions in the \( S_x \) and \( S_y \) channels do not have to be exactly opposite, instead summing to a periodic function with limits defined by the \( p_z \) contribution to the in-plane channels. This observation is entirely consistent with the crucial role played by \( p_z \) orbitals uncovered in the previous section. The measured spin-polarisation at \( \pi \) is thus consistent with a time-reversal symmetry spin-orbital texture driven by the mixing of \( p_{x,y} \) and \( p_z \) orbitals in the ground state.

Taken altogether, we conclude that the presence of a non-zero spin-polarisation at the BZ centre of HfSe\(_2\) is a direct consequence of a coupled hidden spin-orbital texture. The adhesion of the measured spin-polarisations to a model in which time-reversal symmetry is not broken again confirms that the hidden coupled spin-orbital texture observed here is a ground state property of bulk HfSe\(_2\). Note that an exactly equivalent conclusion would be drawn when using \( s \) — polarised light, but with measured spin-polarisation entirely composed of the missing half of the \( p_{x,y} \) contribution.

**Application for transient spin-current generation.** To finalise, we briefly discuss potential for this type of \( \Gamma \)-centred orbital-selectivity in the context of applications in spin-polarised current generation. As demonstrated in Figs. 5 and 6 and discussed in the previous section, the sign of the spin-polarised signal from the valence band maximum of HfSe\(_2\) is dependent on the subset of the \( p \)-orbital contributions probed, thus opening opportunities to populate the unoccupied conduction bands with electrons belonging to a chosen spin-species, with linearly polarised, fixed energy light sources. While it is important to ensure that the mean free path of photo-excited electrons remains sufficiently small to be sensitive to the hidden-spin derived spin-polarisation, there is some scope to tune final states with the choice of photon energy.

These spin-selective excitations are different to those possible in the monolayer 1H-TMDs, where the transient spin polarisation of the conduction band minimum following excitation is dependent both on the helicity and the energy of a circularly-polarised light source\(^{27-25}\). Moreover, any rotational domains in the 1H and 2H-TMDs could randomize the spin signal from the oppositely polarised \( K \) and \( K' \) points, requiring high-quality single crystals with a known orientation. For HfSe\(_2\), we demonstrated in Fig. 6 that changing the orientation of the crystal does not switch the sign of the dominant spin channel, greatly reducing any hindrance from the presence of multiple rotational domains. As a result, poly-crystalline samples may also yield similar net spin-polarisation, although as shown in the previous section, there is a route towards finite spin-polarisation even with an unpolarised light source due to a finite \( S_y \) sum. The second constraint is more robust, however, restricting the periodicity of the measured spin-polarisation functions to be strictly of \( \pi/n \), where \( n \in \mathbb{Z} \).

Satisfying this second constraint entirely removes the possibility of spin vectors of a magnetic origin, as the photoemission orbital-selective matrix elements in 0 and \( \pi \) rotated geometries are equivalent, and so otherwise equivalent experiments should yield equivalent results. A real (in-plane) magnetic spin vector would always switch sign with a \( \pi \) rotation.

All functions do satisfy this constraint for both the \( v_1 \) and \( v_2 \) peaks, with the \( S_x \) and \( S_y \) signals sharing the same periodicity. For the higher (lower) binding energy state, \( v_2 \) \( (v_1) \), the spin-polarisations in the \( x \) and \( y \) channels are well fit to a pair of functions that are \( \pi/2 (\pi) \) periodic. The measured \( S_y \) polarisation is \( \pi \) periodic for both \( v_1 \) and \( v_2 \). We note that the measured spin-polarisation functions only satisfy the simplified TRS-conserving model if there is a \( p_z \) contribution to the spin-polarisation. Due to the effective double-counting of the \( p_z \) contribution as the sample is rotated, the spin-polarisation functions in the \( S_x \) and \( S_y \) channels do not have to be exactly opposite, instead summing to a periodic function with limits defined by the \( p_z \) contribution to the in-plane channels. This observation is entirely consistent with the crucial role played by \( p_z \) orbitals uncovered in the previous section. The measured spin-polarisation at \( \pi \) is thus consistent with a time-reversal symmetric spin-orbital texture driven by the mixing of \( p_{x,y} \) and \( p_z \) orbitals in the ground state.

Taken altogether, we conclude that the presence of a non-zero spin-polarisation at the BZ centre of HfSe\(_2\) is a direct consequence of a coupled hidden spin-orbital texture. The adhesion of the measured spin-polarisations to a model in which time-reversal symmetry is not broken again confirms that the hidden coupled spin-orbital texture observed here is a ground state property of bulk HfSe\(_2\). Note that an exactly equivalent conclusion would be drawn when using \( s \) — polarised light, but with measured spin-polarisation entirely composed of the missing half of the \( p_{x,y} \) contribution.
polarisations to those seen here when using linear polarised light sources, potentially reducing barriers to commercialisation.

We expect that the new physics observed here is general to the other semiconducting 1T structured TMD without a significant transition metal d-derived valence band contribution, although likely less pronounced than the present case due to a reduced dipolar field strength within the TMD-unit. For the (semi)-metallic systems (e.g., (Ir, Ni, Pt, Pd)(Se,Te)2) it is likely that screening effects suppress the effective crystal field splitting within chalcogen sites key to the phenomena observed here.

In conclusion, we have shown that the T-centred, selenium p-orbital derived valence bands of 1T-HfSe2 exhibit hidden ground state spin-polarisation owing to the strong out-of-plane dipole present within each half Se-Hf-Se sublayer of the unit cell. This hidden-spin polarisation manifests as a coupled spin-orbital texture wherein px, py and pz orbitals contribute differently to the Rashba-split states, and therefore a net spin-polarisation at the T point can be measured and enhanced when selectively probing a subset of these orbitals, despite the presence of time-reversal symmetry. These findings offer a new route towards the generation of spin-polarised carriers from poly-crystalline 1T-structured transition metal dichalcogenides by using a fixed, linearly polarised light source, revealing possibilities to exploit effective net spin polarisations in non-magnetic systems more widely.

Methods
Experimental. ARPES measurements were carried out using p-polarised synchrotron light of energies between 17 and 64 eV at the U125-PM beamline of BESSY-II in Helmholtz-Zentrum Berlin. Photoelectrons were detected with a Scienta R4000 analyzer at the Spin-ARPES endstation, and the base pressure of the Scienta R4000 analyzer at the Spin-ARPES endstation, and the base pressure of the experimental dipolar field splitting within the T-structure wherein present within each half Se-Hf-Se sublayer of the unit cell. This state spin-polarisation owing to the strong out-of-plane dipole.

\[ \text{Spin-EDCs were determined according to} \]

\[ I_{p}^{±} = \frac{I_{p}^{±}(1 ± P)}{2}, \]

where \( i = [x, y, z] \), \( I_{p}^{±} = (I_{+}^{±} - I_{-}^{±}) \) and \( I_{p}^{±} \) is the measured intensity for the oppositely deflected electrons for a given channel, corrected by a relative efficiency calibration. The final spin polarisation is defined as follows

\[ P_{c} = \frac{I_{p}^{+} - I_{-}}{S(I_{+}^{+} + I_{-})}. \]

where \( S \) is the Sherman function.

For the quantitative spin-polarisation magnitudes in Fig. 6, we fit the two peaks corresponding to \( v_{1} \) and \( v_{2} \) to Lorenzian functions with a Shirley background and a Gaussian broadening to account for the finite experimental resolution. For each pair of EDCs, the peak widths and positions are held constant with only the intensity allowed to vary between the spin up and down channels. The spin-polarisation is then calculated from the relative areas of the Lorenzian peaks. The net polarisations from the two collections of bands, \( v_{1} \) and \( v_{2} \), are therefore extracted.

Theoretical. The electronic structure of HfSe₂ was calculated within DFT using the Perdew–Burke–Ernzerhof exchange-correlation functional, modified by Becke-Johnson potential as implemented in the WIEN2K programme. Relativistic effects, including spin-orbit coupling, were fully included. The muffin-tin radius of each atom, \( R_{MT} \), was chosen such that its product with the maximum modulus of reciprocal vectors \( K_{max} \) become \( R_{MT} K_{max} = 7.0 \). The Brillouin zone was sampled by a \( 15 \times 15 \times 10k \)-mesh. To calculate the spin-projected band structures, we downfolded the DFT Hamiltonian into a 22-band tight-binding model using maximally localised Wannier functions with Hf 5d and Se 4p as the projection centres.

Data availability
Data underpinning the figures that support this work are available from the authors upon reasonable request.

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Competing interests
The authors declare no competing interests.

Additional information
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