Microscopic evidence for field-induced magnetism in CeCoIn$_5$

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We present NMR data in the normal and superconducting states of CeCoIn$_5$ for fields close to $H_{c2}(0) = 11.8$ T in the $ab$ plane. Recent experiments identified a first-order transition from the normal to superconducting state for $H > 10.5$ T, and a new thermodynamic phase below 290 mK within the superconducting state. We find that the Knight shifts of the In(1), In(2) and the Co are discontinuous across the first-order transition and the magnetic linewidths increase dramatically. The broadening differs for the three sites, unlike the expectation for an Abrikosov vortex lattice, and suggests the presence of static spin moments in the vortex cores. In the low-temperature and high-field phase the broad NMR lineshapes suggest ordered local moments, rather than a long wavelength quasiparticle spin density modulation expected for an FFLO phase.

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One of the most intriguing properties observed in Kondo lattice systems is the emergence of unconventional superconductivity near a quantum critical point (QCP). By varying some external parameter such as field or pressure, an antiferromagnetic ground state can be tuned such that the transition temperature goes to zero at the QCP. As the tuning parameter increases past the QCP, conventional Fermi-liquid behavior is recovered below a characteristic temperature $T_{FL}$ [1]. Superconductivity often emerges as the ground state of the system for sufficiently low temperatures in the vicinity of the QCP [2]. The heavy-fermion superconductor CeCoIn$_5$ exhibits many properties typical of a Kondo lattice system at a QCP. In particular, $T_{FL}$ appears to vanish at the superconducting critical field $H_{c2}(T = 0)$ for fields along the c axis, suggesting the presence of a field-tuned QCP [2, 3]. This interpretation has remained contentious because the ordered state associated with the QCP is superconductivity rather than antiferromagnetism. One explanation is that an antiferromagnetic (AFM) phase is hidden within the superconducting phase diagram, which is the genitor of both the QCP and non-Fermi liquid behavior in the vicinity of $H_{c2}(0)$. However, when the superconductivity is suppressed with Sn doping, the QCP tracks $H_{c2}(0)$, and no magnetic state emerges in the phase diagram, whereas pressure separates the QCP [3].

In fact, there is a field-induced state, which we will refer to as the B phase, in the $H - T$ phase diagram of CeCoIn$_5$ that exists just below $H_{c2}(0)$. The order parameter of the B phase could be either (1) a different symmetry of the superconducting order parameter, (2) a field-induced magnetic phase, or (3) a Fulde-Ferrell-Larkin-Ovchimikov (FFLO) superconducting phase [2, 7, 8, 9]. The normal to superconducting transition in this system has a critical point at $(H, T) \sim (10.5T, 0.75K)$, separating a second to first order transition, and the B phase exists below a temperature $T_0(H) \sim 290$ mK and is bounded by $T_c(H)$. NMR experiments suggest the presence of excess quasiparticles associated with nodes in the superconducting FFLO wavefunction [10, 11, 12, 13]. However, recent NMR work by Mitrović et al. disagrees with the original study, casting doubt on the interpretation of this ordered phase as an FFLO state [14]. In this Letter we report detailed NMR spectra of all three sites: the $^{115}$In(1), $^{115}$In(2) and $^{59}$Co, in the normal and superconducting phases. Our data agree with those of [14], and by comparing our spectra at the three sites, we conclude that long-range order of local moments exists below $T_0$. Therefore, the B phase is neither a different symmetry of the superconducting order parameter, nor simply the FFLO state, but rather a more complex field-induced magnetic state that may be responsible for the QCP point at $H_{c2}(0)$.

We also find evidence for field-induced magnetism in the mixed state (A phase) between $T_c$ and $T_0$. In this temperature and field range, we find that the NMR Knight shift is discontinuous across the first-order transition ($T_c(H) < 750$ mK), and the spectra undergo a dramatic magnetic broadening nearly one order of magnitude larger than expected for orbital currents in a vortex lattice. The broadening is different for the Co and In(1) sites, suggesting that the origin of the magnetic broadening is a distribution of hyperfine fields rather than orbital fields. A likely source of hyperfine fields are quasi-static spin moments within the vortex cores.

All of the NMR measurements were made on a single crystal of CeCoIn$_5$ mounted with $H||a$. The orientation was verified to within $\sim 1^\circ$ by observing the resonance frequencies of the quadrupolar satellites of the In(1) ($^{115}I = 9/2$). The sample was mounted in the $^3$He-$^4$He mixture of a dilution refrigerator, and the tank circuit was tuned by two fixed capacitors located close to the coil. Spectra were obtained by summing several individual spectra taken with low power at constant fre-
FIG. 1: NMR spectra of CeCoIn$_5$ at 11.1T (left) and at 11.485T (right). The series of transitions at lower frequency are the seven transitions of the $^{59}$Co, and the resonance at higher frequency is the $(-\frac{3}{2} \leftrightarrow -\frac{5}{2})$ transition of the $^{115}$In(1). The light blue shaded spectra are in the normal state, the green spectra are within 20 mK of $T_c$ ($T_0$), the orange spectra are in the A phase, and the purple spectra are in the B phase.

FIG. 2: NMR spectra of In(1) $(-\frac{5}{2} \leftrightarrow -\frac{3}{2})$ and the In(2)$_\parallel$ $(-\frac{1}{2} \leftrightarrow -\frac{3}{2})$ transitions in CeCoIn$_5$ at 11.1T. Note that the In(1) transition at 118.3 MHz in the normal state shifts down in frequency discontinuously at $T_c \sim 470$ mK, whereas the In(2)$_\parallel$ shifts up in frequency, as observed previously in lower fields. The broad double-peak structure between 117 and 119.5 MHz at 50 mK is the In(2)$_\parallel$ central transition.

The spectra shown in Figs. 1 and 2 clearly show a dramatic increase in the magnetic linewidths below $T_c$, in agreement with bulk measurements at these fields, which reflects the discontinuity in the superconducting gap at the first order transition.

The spectra shown in Figs. 1 and 2 clearly show a dramatic increase in the magnetic linewidths below $T_c$. The linewidths of the Co and In(1) are shown as functions of field and temperature in Fig. 4. The resonance frequency in the superconducting state can be written as the sum of three contributions:

$$f(r) = \eta \gamma |H + 4 \pi M_o(r) + A M_s(r)|,$$

where $\eta \gamma$ is the gyromagnetic ratio of the $\eta$ nucleus, $A$ is the hyperfine coupling, $M_o(r)$ is the orbital (spin) magnetization and $K_s = A M_s/H$. There are two sources of magnetic broadening: a spatial distribution of $M_o(r)$ or $M_s(r)$. In type II superconductors, both are spatially distributed due to the vortex lattice, and hence the NMR spectrum develops a characteristic lineshape in the mixed state (A phase), which is typically domi-
nated by $M_s(r)$ \cite{18, 19}. However, the broadening we observe occurs in the A phase and changes little in the B phase. This result is surprising, since *a priori* one would expect an extra broadening due to $M_s(r)$ in the FFLO phase \cite{20, 21}. In fact, the vortex contribution, $M_o(r)$, should be negligible at these fields. The second moment of the Abrikosov vortex lattice field distribution with a Ginzburg-Landau parameter $\kappa = \lambda/\xi \approx 60$ and orbital limiting field $H_{c2}^o \approx 35$ T is $\sqrt{\sigma_{\text{orb}}} \approx 12$ Oe at these fields \cite{17, 22, 23}. Convolving this result with the intrinsic normal state linewidths ($\sqrt{\sigma_{\text{n}}} \sim 20$ Oe), gives a net change of $\sim 3$ Oe. Clearly, as seen in Fig. 4, the magnetic broadening observed is much too large to explain with a conventional Abrikosov vortex lattice. Furthermore, the broadening at the Co site is nearly twice that at the In(1) site. If the broadening mechanism were from orbital supercurrents or spin-polarized quasiparticles in the domain walls of the FFLO state, then the response at the Co and In(1) would be identical. The only way to understand our results is a distribution of $M_s(r)$ due to local moments, which gives a different response for different hyperfine couplings unique to each nuclear site.

We propose that this distribution of spin polarization arises from magnetic order in the vortex cores, as has been found in the high temperature superconductors \cite{24, 25}. Since the superconducting order parameter vanishes in the cores, it is plausible that competing orders may be stabilized \cite{26}. CeCoIn$_5$ becomes AFM with only a few percent Cd doping, which indicates that this material lies close to an AFM instability \cite{27}. Indeed, recent neutron measurements found an enhancement of the vortex lattice form factor consistent with spins in the cores \cite{28}, and magnetization measurements as a function of field reveal a strong paramagnetic contribution even in the mixed state of this material \cite{17}. Such an effect has been observed in other heavy-fermion materials, and may be associated with a paramagnetic response of local f moments in the vortex cores \cite{29}.

Below $T_0$, the response of all three sites differs dramatically. Figures 1 and 2 show spectra of the In(1) and In(2)\textsubscript{||} at 11.1 T. The In(1) lines remained sharp while the In(2) spectra developed a broad powder pattern-like spectrum as a result of the incommensurate magnetic structure \cite{30}. Such an effect cannot be explained by a long-wavelength modulation of $M_s(r)$ as expected in an FFLO state, or a change of the order parameter symmetry. In either case, the wavelength of the modulation should be on the order of

![FIG. 3](image-url) 

**FIG. 3:** (a) The $H-T$ phase diagram, showing first-order ($\circ$) and second-order ($\bullet$) transitions, from \cite{13}. The solid lines are guides to the eye. (b) The Knight shift of the In(1) at 11.8T ($\circ$), 11.485T ($\square$), 11.1T ($\triangledown$), and 3.33T ($\triangle$, \cite{16}).

![FIG. 4](image-url) 

**FIG. 4:** The second moments of the Co and In(1) resonances at 11.1 T (upper) and at 11.485 T (lower). The normal state data at 11.8 T is included in the lower panel.
either the coherence length, $\xi$, or the Fermi wavevector mismatch, $1/|k_{F1} - k_{F2}|$. Both of these length scales exceed the unit cell length, implying that the response of the Co, In(1) and In(2) should be similar. If there were static order of Ce moments, then because of their particular site symmetries the Co and In(1) can remain relatively sharp whereas the In(2) can experience large hyperfine fields [31]. A possible magnetic structure that satisfies these requirements is $Q = (\pi/a - \delta, \pi/a, \pi/c)$, where $2\pi/\delta$ is the wavelength of the incommensuration and the Ce spins $S_0 \parallel \mathbf{H} \parallel \mathbf{a}$. In this case the isotropic components of the hyperfine field at the In(1) and Co sites vanishes, but at the In(2) the hyperfine field has components either parallel or antiparallel to $\mathbf{H}$. The solid line in Fig. 2 shows the expected lineshape for a sinusoidal variation of $H_{\text{hyp}}$ with magnitude 1.3 kOe, which has been convolved with a Gaussian with width 100 kHz. We do not have independent information to determine either $\delta$ or $S_0$, since $H_{\text{hyp}} \propto S_0 \delta$. The onset of long-range magnetic order also explains why the In(2) exhibits field-induced magnetism per- 
cept that in CeRhIn$_5$, whereas in CeCoIn$_5$ there is no sign of magnetism in the normal state. We cannot rule out the existence of an FFLO state, or whether the long-range magnetism coexists with the FFLO order. Nevertheless, local moment magnetism clearly competes with Kondo screening and with superconductivity, so magnetism may emerge naturally where the superconductivity is suppressed within the vortex cores or the nodal planes of the FFLO phase. This interpretation offers a consistent explanation of the non-Fermi liquid behavior associated with the QCP at $H_{c2}(0)$, where the observed field-induced magnetism apparently exists only within the superconducting phase.

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