NON-LINEAR INTERLINKAGES AND KEY OBJECTIVES AMONGST THE PARIS AGREEMENT AND THE SUSTAINABLE DEVELOPMENT GOALS

Felix Laumann
Department of Mathematics
Imperial College London
fjl1218@ic.ac.uk

Julius von Kügelgen
Max Planck Institute for Intelligent Systems, Tübingen
Department of Engineering, University of Cambridge

Mauricio Barahona
Department of Mathematics
Imperial College London

ABSTRACT

The United Nations’ ambitions to combat climate change and prosper human development are manifested in the Paris Agreement and the Sustainable Development Goals (SDGs), respectively. These are inherently inter-linked as progress towards some of these objectives may accelerate or hinder progress towards others. We investigate how these two agendas influence each other by defining networks of 18 nodes, consisting of the 17 SDGs and climate change, for various groupings of countries. We compute a non-linear measure of conditional dependence, the partial distance correlation, given any subset of the remaining 16 variables. These correlations are treated as weights on edges, and weighted eigenvector centralities are calculated to determine the most important nodes.

We find that SDG 6, clean water and sanitation, and SDG 4, quality education, are most central across nearly all groupings of countries. In developing regions, SDG 17, partnerships for the goals, is strongly connected to the progress of other objectives in the two agendas whilst, somewhat surprisingly, SDG 8, decent work and economic growth, is not as important in terms of eigenvector centrality.

1 INTER-LINKED HUMAN AND NATURAL WORLDS

The state-of-the-art in sustainability is described by two United Nations (UN) landmark agendas, the Paris Agreement (UN, 2015a) and the Sustainable Development Goals (SDGs) (UN, 2015b). Whilst the former focuses on preventing a global climate crisis with far reaching consequences by limiting global warming to 1.5 to 2°C above pre-industrial levels, the purpose of the latter is to end poverty, protect the planet and ensure that all people enjoy peace and prosperity by 2030. Any action for the progress on either agenda often has an influence on the other (UN Climate Change, 2019), reflecting the complexity of the human and natural worlds.

This inter-linked nature gives rise to opportunities for the creation of synergistic interventions: civil, corporate and institutional actions can efficiently create impact across both agendas, thereby improving the world profoundly. On the other hand, this inter-linked construct can also be subject to trade-offs between objectives, i.e., progress towards one agenda constrains progress towards the other. In this work, we aim to discover how climate change, as measured by local temperature rises, and the 17 SDGs are inter-linked by learning the structure of undirected graphs over these variables from their (conditional) dependencies.

Adding climate change as an 18th variable is motivated by the observation that temperature rises (or any other direct metrics of climate change) are not actually tracked within SDG 13 (climate action). Indicators of SDG 13 only track inputs (such as investment), means (such as plans and strategies),...
and impacts (number of people affected by disasters), but they do not account for outputs, such as changes in temperature or green house gas emissions.\footnote{Only recently (and after performing the present analysis) have “total greenhouse gas emissions” been added as an output-quantifying indicator (13.2.2).}

We use distance correlation\footnote{For detailed descriptions of indicators, see \url{https://sustainabledevelopment.un.org/sdgs}} (\cite{szekely2007测度}) as a measure of non-linear dependence between variables of possibly varying dimensions. To account for possible interactions, each pair of variables is conditioned on any subset of the remaining variables, and the minimum resulting distance correlation is taken as the weight on an edge between these two variables. Subsequently, the weighted eigenvector centrality of every node is calculated to measure its importance within the network.

In summary, the contributions of this paper include: first, the application of a \textit{non-linear} measure of (conditional) dependence to SDG data, thereby relaxing the linearity assumption on the nature of interlinkages between the SDGs, compared to the work of \cite{lusseau20192019}; and secondly, the use of eigenvector centrality as a \textit{relative} measure which also takes the importance of a node’s neighbours into account, as opposed to simple degree centrality as used by \cite{mcgowan20192019}.

2 \textbf{Methodology}

We use data provided by the World Bank\footnote{We impute missing values (especially for the time 2000-2005) using a weighted average across countries (where data is available) with weights inversely proportional to the Euclidean distance between indicators.} (2020b) and the UN\footnote{For detailed descriptions of indicators, see \url{https://sustainabledevelopment.un.org/sdgs}} (2020) in form of time-series for various indicators, which measure progress towards their associated SDGs, in conjunction with temperature recordings (World Bank, 2020a). In total, these three sources provide 379 time-series, which are available on a country-level with annual measurements from 2000 to 2016.

Apart from measurements for the 17 SDGs, we introduce climate change as an additional variable which we define by annual average temperature per country. We consider these 18 variables as the set of nodes $V$ of an undirected graph $G$. We learn the graph structure by computing partial distance covariances (\cite{szekely2014partial}) between any pair $(X, Y)$ of nodes, given any subset $Z \subseteq V \setminus (X, Y)$ of the remaining 16 nodes. This yields a sparsely-connected undirected graph with weighted edges $E$ capturing non-linear dependencies between variables. Using these weights, we compute weighted eigenvector centralities (\cite{newman2018Networks}, p.159; Appendix A.2) to find the most important nodes. Code to reproduce our findings and visualisations of networks may be found online at \url{https://github.com/felix-laumann/SDG-dataset}.

2.1 Distance Covariance

Let $X \in \mathbb{R}^{d_X}$ and $Y \in \mathbb{R}^{d_Y}$ be two random vectors with finite first moments, i.e., $\mathbb{E}[X], \mathbb{E}[Y] < \infty$. The distance covariance between $X$ and $Y$, denoted by $\mathcal{V}^2(X, Y)$, is a measure of dependence between $X$ and $Y$ with the following important properties: (i) $\mathcal{V}^2(X, Y) \geq 0$, with equality if and only if $X$ and $Y$ are independent, i.e., it is a non-parametric measure that—unlike, e.g., standard correlation—is able to pick up complex non-linear dependencies; (ii) $\mathcal{V}^2(X, Y) = \mathcal{V}^2(Y, X)$, i.e., it is symmetric; and (iii) unlike many other dependence measures $\mathcal{V}^2(X, Y)$ is well-defined even for $d_X \neq d_Y$. This last point makes it particularly useful for our setting where, due to the different numbers of indicators per SDG, dimensionality varies considerably between variables.

Formally, the distance covariance between $X$ and $Y$ is defined as

$$\mathcal{V}^2(X, Y) = \| f_{X,Y}(t, s) - f_X(t) f_Y(s) \|^2 := \int \| f_{X,Y}(t, s) - f_X(t) f_Y(s) \|^2 w(t, s) dt ds \tag{1}$$

where $w(t, s) := (t^{1/d_X} s^{1/d_Y})^{-1}$, and where the characteristic function $f$ of a random variable $Z$ is denoted as $f_Z(t) = \mathbb{E}[e^{itZ}]$ with $i^2 = -1$.

The corresponding distance correlation $\mathcal{R}^2$ is the normalised distance covariance, computed by

$$\mathcal{R}^2(X, Y) = \left\{ \begin{array}{ll} \frac{\mathcal{V}^2(X, Y)}{\sqrt{\mathcal{V}^2(X,X)\mathcal{V}^2(Y,Y)}}, & \text{if } \mathcal{V}^2(X,X)\mathcal{V}^2(Y,Y) > 0 \\ 0, & \text{if } \mathcal{V}^2(X,X)\mathcal{V}^2(Y,Y) = 0 \end{array} \right. \tag{2}$$

Properties of $\mathcal{R}^2$ include: (i) $0 \leq \mathcal{R}^2(X, Y) \leq 1$; and (ii) $\mathcal{R}^2(X, Y) = 1$ if and only if there exists a vector $\alpha$, a non-zero real number $b$, and an orthogonal matrix $C$ such that $Y = \alpha + bC X$.\footnote{Published as a workshop paper at ICLR 2020}
The pairwise distances are computed equivalently to $A$ and $\hat{A}$ for $16$ nodes. Thus, we condition any pair of nodes $(i, j)$ as we deal with graphs of $18$ nodes, any pairwise covariance may occur through the remaining $n$ number ($\geq 4$) found in $B$.2.

2.2 Partial distance covariance

As we deal with graphs of $18$ nodes, any pairwise covariance may occur through the remaining $16$ nodes. Thus, we condition any pair of nodes $(X, Y)$ on any subset $Z \subseteq V \setminus (X, Y)$ of the remaining $16$ nodes. The pairwise distances $c_{ij} = \|Z_i - Z_j\|$ and the distance matrix $C_{ij}$ for $Z$ are computed equivalently to $A_{ij}$ and $B_{ij}$ for $X$ and $Y$ as explained in Appendix A.1. For any number $n \geq 4$ of samples $\{ (x_i, y_i, z_i) \}_{i=1}^n$ from $(X, Y, Z)$, we define a Hilbert space $\mathcal{H}_n$ over distance matrices computed on these $n$ points, with inner products $\langle \cdot, \cdot \rangle$ as defined in Appendix A.1 (Szekely et al., 2014). With this, we can compute partial distance covariances for random vectors of varying dimensions as follows.

Let $\hat{A}(x)$, $\hat{B}(y)$ and $\hat{C}(z)$ be elements of the Hilbert space $\mathcal{H}_n$ corresponding to the distance matrices computed using the samples $x = (x_1, \ldots, x_n)$, $y = (y_1, \ldots, y_n)$, and $z = (z_1, \ldots, z_n)$, respectively. The projection $P_x(x)$ of $\hat{A}(x)$ onto $\hat{C}(z)$ and the complementary orthogonal projection $P_{x\perp}(x)$ are defined by

$$P_x(x) := \frac{\langle \hat{A}(x), \hat{C}(z) \rangle}{\langle \hat{C}(z), \hat{C}(z) \rangle} \hat{C}(z), \quad \text{and} \quad P_{x\perp}(x) := \hat{A}(x) - P_x(x) = \hat{A}(x) - \frac{\langle \hat{A}(x), \hat{C}(z) \rangle}{\langle \hat{C}(z), \hat{C}(z) \rangle} \hat{C}(z),$$

respectively. The sample partial distance covariance is then defined as

$$Y_n^2(X, Y \mid Z) = \langle P_{x\perp}(x), P_{y\perp}(y) \rangle = \frac{1}{n(n-3)} \sum_{i \neq j}^n (P_{x\perp}(x))_{ij} (P_{y\perp}(y))_{ij}. \quad (4)$$

Finally, we can normalise these covariances to arrive at the sample partial distance correlations

$$\mathcal{R}^2_n(X, Y \mid Z) = \begin{cases} \frac{\langle P_{x\perp}(x), P_{y\perp}(y) \rangle}{\|P_{x\perp}(x)\| \|P_{y\perp}(y)\|}, & \text{if } \|P_{x\perp}(x)\| \|P_{y\perp}(y)\| \neq 0, \\ 0, & \text{if } \|P_{x\perp}(x)\| \|P_{y\perp}(y)\| = 0, \end{cases} \quad (5)$$

which serve as weights on edges between any two nodes.

3 Results

We apply this methodology to the data set of the aforementioned $379$ indicators for various groupings of countries, for which countries are assumed to be independent samples. This assumption allows us to see the indicators’ non-stationary time-series as $d$-dimensional probability distributions, where $d = \#\text{indicators} \times \#\text{years}$. Whilst we only describe the networks of a few groupings in this section, we would like to refer to Appendix B for results on all groupings.

Firstly, we compare the Global South and the Global North (see Figure 1). The accompanied eigenvector centralities are shown in Table 1. In both groupings, SDG 6, clean water and sanitation, followed closely by SDG 4, quality education, are the most central objectives of the $18$ variables. In the Global South, temperature rises are more strongly dependent on variables than in the Global North, which broadly aligns with King & Harrington (2018) who find that geographical areas in

| Table 1: Comparison of eigenvector centralities between the Global South and the Global North (left), and between Western Asia and Northern Europe (right). Results for all groupings can be found in B.2. |

| Global South | Global North | Western Asia | Northern Europe |
|--------------|--------------|--------------|-----------------|
| SDG 6        | 0.48         | SDG 6        | 0.43            |
| SDG 4        | 0.42         | SDG 4        | 0.40            |
| SDG 7        | 0.38         | SDG 9        | 0.33            |
| SDG 17       | 0.37         | SDG 3        | 0.32            |
| SDG 3        | 0.26         | SDG 17       | 0.29            |
| SDG 15       | 0.25         | SDG 7        | 0.27            |
| SDG 6        | 0.48         | SDG 4        | 0.38            |
| SDG 4        | 0.36         | SDG 3        | 0.35            |
| SDG 17       | 0.34         | SDG 6        | 0.30            |
| SDG 3        | 0.33         | SDG 16       | 0.30            |
| SDG 16       | 0.32         | SDG 7        | 0.29            |
| SDG 7        | 0.26         | SDG 9        | 0.28            |

Since $\sqrt{2}(X, Y)$ and therefore $\mathcal{R}^2(X, Y)$ are defined in terms of the underlying joint distribution of $(X, Y)$ which is usually not known, we require a way to estimate them from data. Definitions of biased and unbiased estimators, referred to as $A$ and $\hat{A}$, can be found in Appendix A.1.1 and A.1.2.
the Global South are more vulnerable to climate change than regions in the Global North. Further, SDG 1, no poverty, is strongly linked to SDG 14, life below water, in the Global South. This may be explained by the dependence of small island developing states (SIDS)—all of which lie in the Global South—on marine life to provide for their citizens’ living.

Contrarily, the Global North strongly depends on SDG 9, industry, innovation and infrastructure, to maintain its citizens’ high levels of living standards and to further progress towards other SDGs, as well as climate change mitigation and adaptation. Moreover, SDG 7, clean and affordable energy, is closely related to SDG 15, life on land, which could result from the increasing area of biodiverse land populated by wind turbines, solar panels, or water dams (e.g., Hernandez et al., 2015).

Next, we compare two geographical regions, Western Asia and Northern Europe, shown in Figure 2 with accompanied eigenvector centralities in Table 1. In Western Asia, SDG 6 together with SDG 4 are again the two most central nodes, but SDG 16, peace, justice and strong institutions, is also important, likely to be associated with the unstable political circumstances in this area during the period of recorded measurements. Additionally, SDG 5, gender equality, is strongly linked to SDG 17, partnerships for the goals, which coincides with the remarkably low percentage of women in managerial positions in Western Asia.

In contrast, Northern Europe does not see a remarkable difference between the centralities of SDGs 6 and 4 to all others, but finds SDGs 4, 6, 3, and 17 with almost equivalently high centralities. As

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4In Saudi Arabia, for example, only 5 to 9% of managerial positions were held by women from 2000 to 2015, whereas this number fluctuated between 32 and 36% in the United Kingdom in the same period (UN (2020), indicator 5.5.2)
in the Global North, *industry, innovation and infrastructure* are of particular importance to progress towards the SDGs, and we find that *clean and affordable energy* is closely linked to *life on land*.

We note, however, that most edges found in our network analysis are not statistically significant at $p = 0.05$, using the test of [Szekely et al., 2014]. This is likely linked to the high dimensionality of the data and the short recording period. The present work is thus only a first step, and further analysis is needed to better understand non-linear interlinkages between the SDGs and climate change.

### 4 Conclusions

We report findings of our work in progress towards discovering dependencies amongst the Sustainable Development Goals (SDGs) and climate change. As a first step, we compute partial distance correlations between the 17 SDGs and climate change, as measured by indicators associated to the SDGs and annual average temperature, respectively. Using these measurements of non-linear dependence as edge weights in a network over these variables, we determine eigenvector centralities to unveil which variables are of particular importance, given the available data. Our results indicate that SDG 6, *clean water and sanitation*, together with SDG 4, *quality education*, are the most central nodes in nearly all continents and other groupings of countries. In contrast to many contemporary policies, our preliminary results suggest that *economic growth*, as measured by SDG 8, appears not to play as central a role for sustainable development or mitigating climate change as other SDGs.

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A Appendix A

A.1 Distance covariance estimators

A.1.1 Biased estimators

Suppose that we have access to a sample of pairs \((x_1, y_1), \ldots, (x_n, y_n)\) \(i.i.d\). First, define the pairwise distances: \(a_{ij} := \|x_i - x_j\|\) and \(b_{ij} := \|y_i - y_j\|\) \(\forall i,j = 1, \ldots, n\). Next, define the corresponding distance matrices, denoted by \((A_{ij})_{n,n,j=1}^j\) and \((B_{ij})_{n,n,j=1}^j\), as follows:

\[
A_{ij} = \begin{cases} 
n^2 a_{ij} - \frac{1}{n} \sum_{l=1}^n a_{il} - \frac{1}{n} \sum_{k=1}^n a_{kj} + \frac{1}{n^2} \sum_{k,l=1}^n a_{kl}, & \text{if } i \neq j \\
0, & \text{if } i = j
\end{cases}
\]

and

\[
B_{ij} = \begin{cases} 
n^2 b_{ij} - \frac{1}{n} \sum_{l=1}^n b_{il} - \frac{1}{n} \sum_{k=1}^n b_{kj} + \frac{1}{n^2} \sum_{k,l=1}^n b_{kl}, & \text{if } i \neq j \\
0, & \text{if } i = j
\end{cases}
\]

Having computed these, the sample distance covariance \(V_n^2(X,Y)\) can be estimated by

\[
V_n^2(X,Y) = \frac{1}{n^2} \sum_{i,j=1}^n A_{ij} B_{ij},
\]

which converges almost surely to the population distance covariance \(V^2(X,Y)\) as \(n \to \infty\) [Szekely et al., 2014].

A.1.2 Unbiased estimators

Unbiased estimators of the distance covariance are denoted as \(\Omega_n(x,y)\). Firstly, we must redefine our distance matrices \((A_{ij})_{n,n,j=1}^j\) and \((B_{ij})_{n,n,j=1}^j\), which we call \((\tilde{A}_{ij})_{n,n,j=1}^j\) and \((\tilde{B}_{ij})_{n,n,j=1}^j\) as

\[
\tilde{A}_{ij} = \begin{cases} 
n^{-2} a_{ij} - \frac{1}{n-2} \sum_{l=1}^n a_{il} - \frac{1}{n-2} \sum_{k=1}^n a_{kj} + \frac{1}{n(n-2)} \sum_{k,l=1}^n a_{kl}, & \text{if } i \neq j; \\
0, & \text{if } i = j
\end{cases}
\]

and

\[
\tilde{B}_{ij} = \begin{cases} 
n^{-2} b_{ij} - \frac{1}{n-2} \sum_{l=1}^n b_{il} - \frac{1}{n-2} \sum_{k=1}^n b_{kj} + \frac{1}{n(n-2)} \sum_{k,l=1}^n b_{kl}, & \text{if } i \neq j; \\
0, & \text{if } i = j
\end{cases}
\]

Finally, we can compute the unbiased estimator \(\Omega_n(X,Y)\) for \(V^2(X,Y)\) as the dot product \(\langle \tilde{A}, \tilde{B} \rangle\):

\[
\Omega_n(X,Y) = \langle \tilde{A}, \tilde{B} \rangle = \frac{1}{n(n-3)} \sum_{i,j=1}^n \tilde{A}_{ij} \tilde{B}_{ij}
\]

A.2 Eigenvector centrality

For any graph \(\mathcal{G} := (V,E)\), let \(K\) be the adjacency matrix of graph \(\mathcal{G}\) with \(k_{v,t}\) equal to the weight on the edge between node \(v\) and \(t\). The eigenvector centrality \(x_v\) of node \(v\) is a measure relative to all other nodes in \(\mathcal{G}\), defined as

\[
x_v = \frac{1}{\lambda} \sum_{t \in \mathcal{G}} k_{v,t} x_t,
\]

where \(\lambda\) is the greatest eigenvalue in the eigenvector equation \(Kx = \lambda x\), subject to \(x \neq 0\). Consequently, this centrality measure is an extension of the widely used degree centrality by considering the centrality of its neighbours besides its own.
B Appendix B

B.1 Networks of Groupings
B.2 Eigenvector centralities


**B.3 GROUPINGS OF COUNTRIES**

| Region | Countries |
|--------|-----------|
| Africa | Algeria, Angola, Botswana, Burundi, Cameroon, Chad, Congo, Dem. Rep., Cote d'Ivoire, Democratic Republic of the Congo, Egypt, Ethiopia, Gabon, Ghana, Guinea-Bissau, Kenya, Lesotho, Madagascar, Malawi, Mauritius, Mozambique, Namibia, Niger, Nigeria, Rwanda, Senegal, Seychelles, Sierra Leone, South Africa, Sudan, Swaziland, Tanzania, Togo, Tunisia, Uganda, Zambia, Zimbabwe |
| Americas | Argentina, Bahamas, Barbados, Belize, Bolivia, Brazil, Canada, Chile, Colombia, Costa Rica, Cuba, Dominica, Ecuador, El Salvador, Grenada, Guatemala, Haiti, Honduras, Jamaica, Mexico, Nicaragua, Panama, Paraguay, Peru, Saint Kitts and Nevis, Saint Lucia, Saint Vincent and the Grenadines, Suriname, Trinidad and Tobago, Uruguay, Venezuela, Virgin Islands, US |
| Asia | Afghanistan, Bangladesh, Bhutan, Brunei Darussalam, Cambodia, China, India, Indonesia, Japan, Kazakhstan, Kyrgyz Republic, Lao PDR, Malaysia, Maldives, Mongolia, Myanmar, Nepal, North Korea, Philippines, Pakistan, Russian Federation, Singapore, Sri Lanka, Taiwan, Thailand, Turkey, Turkmenistan, United Arab Emirates, Uzbekistan, Vietnam, Yemen, Republic of, Yugoslavia, Cambodia, Laos, Mongolia, Vietnam |
| Europe | Albania, Austria, Belgium, Bulgaria, Croatia, Czech Republic, Denmark, Estonia, Finland, France, Germany, Greece, Hungary, Iceland, Ireland, Italy, Latvia, Liechtenstein, Lithuania, Luxembourg, Malta, Monaco, Netherlands, Norway, Poland, Portugal, Romania, Russia, San Marino, Slovak Republic, Slovenia, Spain, Sweden, Switzerland, Turkey, Ukraine, United Kingdom, Yugoslavia |
| Oceania | Australia, New Zealand, Fiji, Micronesia, Palau, Solomon Islands, Tonga, Tuvalu, Vanuatu, Western Samoa, Wallis and Futuna Islands, New Caledonia, Papua New Guinea, Solomon Islands, Vanuatu |

World contains all listed countries.
| Region          | Countries                                    |
|-----------------|----------------------------------------------|
| Global North    | Albania, Argentina, Bangladesh, Botswana     |
|                | Central African Republic, China, Colombia    |
|                | Costa Rica, Dominican Republic, Ecuador      |
|                | El Salvador, Fiji, Finland, Gabon, Germany   |
|                | Greece, Guatemala, Haiti, Honduras           |
|                | India, Indonesia, Iran, Israel, Italy        |
|                | Japan, Jordan, Kazakhstan, Kuwait, Lebanon   |
|                | Libya, Morocco, Mozambique, Namibia, Niger   |
|                | Nigeria, Pakistan, Peru, Portugal, Qatar     |
|                | Russia, Saudi Arabia, Singapore, South Africa|
|                | Spain, Sri Lanka, Switzerland, Thailand      |
|                | Trinidad and Tobago, Tunisia, Ukraine       |
|                | United Arab Emirates, United Kingdom         |
|                | United States, Vietnam, Yemen                |
| Global South    | Antigua and Barbuda, Bahamas, Barbados       |
|                | Belize, Benin, Bolivia, Brazil, Burkina Faso|
|                | Cambodia, Cameroon, Chad, Central African Republic, China, Colombia, Costa Rica, Dominican Republic, Ecuador, El Salvador, Fiji, Finland, Gabon, Germany, Greece, Guatemala, Haiti, Honduras, India, Indonesia, Iran, Israel, Italy, Japan, Jordan, Kazakhstan, Kuwait, Libya, Morocco, Mozambique, Namibia, Niger, Nigeria, Pakistan, Peru, Portugal, Qatar, Russia, Saudi Arabia, Singapore, South Africa, Spain, Sri Lanka, Switzerland, Thailand, Trinidad and Tobago, Tunisia, Ukraine, United Arab Emirates, United Kingdom, United States, Vietnam, Yemen, Argentina, Bahamas, Barbados, Belize, Benin, Bolivia, Brazil, Burkina Faso, Cambodia, Cameroon, Chad, Central African Republic, China, Colombia, Costa Rica, Dominican Republic, Ecuador, El Salvador, Fiji, Finland, Gabon, Germany, Greece, Guatemala, Haiti, Honduras, India, Indonesia, Iran, Israel, Italy, Japan, Jordan, Kazakhstan, Kuwait, Libya, Morocco, Mozambique, Namibia, Niger, Nigeria, Pakistan, Peru, Portugal, Qatar, Russia, Saudi Arabia, Singapore, South Africa, Spain, Sri Lanka, Switzerland, Thailand, Trinidad and Tobago, Tunisia, Ukraine, United Arab Emirates, United Kingdom, United States, Vietnam, Yemen |