Unsupervised Abnormal Traffic Detection through Topological Flow Analysis

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Abstract—Cyberthreats are a permanent concern in our modern technological world. In the recent years, sophisticated traffic analysis techniques and anomaly detection (AD) algorithms have been employed to face the more and more subversive adversarial attacks. A malicious intrusion, defined as an invasive action intending to illegally exploit private resources, manifests through unusual data traffic and/or abnormal connectivity pattern. Despite the plethora of statistical or signature-based detectors currently provided in the literature, the topological connectivity component of a malicious flow is less exploited. Furthermore, a great proportion of the existing statistical intrusion detectors are based on supervised learning, that relies on labeled data. By viewing network flows as weighted directed interactions between a pair of nodes, in this paper we present a simple method that facilitate the use of connectivity graph features in unsupervised anomaly detection algorithms. We test our methodology on real network traffic datasets and observe several improvements over standard AD.

Index Terms—anomaly detection, graph embedding, egonet features, traffic analysis

I. INTRODUCTION

Nowadays computer security has become a necessity brought by the fast evolution of information technologies. The expansion of the network architectures, such as cloud computing, revealed increasingly higher number of threats than before. According to 2021 Cyberthreat Defense Report [1], the percentage of organizations compromised by successful attacks rose by 5.5 %, which seems to be the largest in the last 7 years. These attacks include malware, ransomware, Denial-of-Service (DoS) and Advanced Persistent Threats (APT). Despite the fact that security research investments are on a positive trend, alleviation of these threats is not optimistic [1]. However, the constant progress and performance of the recent Intrusion Detection Systems (IDS) bring a positive light on the subject.

One side of the modern IDSs approaches the intrusion detection as an anomaly detection problem. Detecting outliers in finite samples of data is an old statistical topic, alongside with the design of robust estimators that are resistant to corrupted data points [2]. From this viewpoint, detecting a network intrusion reduces to learning a statistical estimator that is capable to distinguish between normal and abnormal traffic. However, there are two obvious issues to address. Related to first, one could find a plethora of results in the literature that confirm the efficiency of this statistical approach for usual attacks such as DoS, Probe, User to Root, Remote to User etc. However, in large networks, there is often the case when the attacker uses a stolen set of credentials to obtain data (or access) from (to) multiple nodes of the networks. In this case, while the traffic parameters may seem close to normal, the change in the graph connectivity pattern could reveal an abnormal behavior. In his malicious pursuit, the attacker will probably walk from node to node, through lateral movement, on paths that a normal user would never follow. Therefore, the underlying graph representation of the network traffic, where the nodes are the computers and the edges are the traffic sessions, becomes necessary. Secondly, the real network traffic is by nature not labeled. Although the most challenging,
unsupervised AD methods seems the most intuitive approach of an intrusion detection task.

In this paper we bring a preliminary evidence showing that the graph connectivity may be an important asset in some cases for unsupervised intrusion detection. We design a simple processing strategy of given flow data that enrich the feature vectors with additional graph embeddings. Our graph embedding method is based on computing egonets of each network node and extract their key features. After training on the extended features, the accuracy of several unsupervised AD algorithms shows slight improvements.

A. Related work

Several wide-range anomaly detection techniques that are often used in network IDSs are listed as follows: Statistical Profiling with Histograms [3], [4], Parametric and Non-parametric Statistical Modeling [5], [6], (Deep or Shallow) Artificial Neural Networks and Autoencoders [7]–[10], (One-Class) Support Vector Machines [11], [12], Reconstruction methods [13]–[15], Clustering methods [16], [17]. However, generally most of these learning systems detect abnormal data flows or packets based on their features and characteristics. Besides the track imprinted in these features, many attacks manifest their tracks into anomalous underlying connection graph, and therefore graph anomaly detection techniques become an important tool for more insight [18].

Graph embedding is used in [19], where the flow data is viewed as an entropy time series, whose features are mapped as nodes in an undirected graph. Here, after computing weights on edges based on covariation features, the authors devise an algorithm that assign an anomaly score on each flow. Spectral decomposition methods are applied in [20] to intrusion detection problem. Their method keeps only statistical and spectral features of a given connectivity graph to detect traffic anomalies. In [21] are used attack graphs to analyze the state evolution of multi-layered attacks in a vulnerable system. We mention that the vertices in these graphs are the attack states and actions, since they serve to modeling of the causality of vulnerability exploitation.

In [22] the authors devise an IDS that, based on a double graph embedding, expand an original set of features into a new one containing graph embedding information. Their overall approach is vaguely similar to ours, however the embedding procedure and classification algorithms are not related. In the final, they used supervised learning algorithms to classify enhanced features of datasets CIDDS-001 and CIC-IDS2017.

Paper structure. In the following Section we describe our graph embedding and feature expansion procedures. We evaluate the empirical performance of these embedding procedures, in Section III by comparison with the application of traditional anomaly detectors onto several well-known datasets. Lastly, we discuss and interpret our result in Section IV.

II. Methodology

As presented in the introduction, the main steps of our method reduce to: (i) embedding of the network flows into a directed graph; (ii) extraction of several statistical node features from the graph and expand the original feature set. We note notation $X \in \mathbb{R}^{m \times N}$ for flow data, where $m$ is the number of features of a given flow and $N$ the number of flows.

First, given a set of fixed IPs within a network, mapping them into integers set $[n] := \{1, 2, \cdots, n\}$, where $n$ is the number of machines in the network, is straightforward. Now we further consider the graph $G = \{V, E, W\}$, where the set of vertices $V = \{1, 2, \cdots, n\}$, $E$ is the set of edges between nodes, corresponding to connections between pairs of IPs, and $W$ is a weight matrix. For instance, given a flow representation between two IPs let $(i, j) \equiv (\text{source}_i, \text{destination}_j)$, then $(i, j) \in E$ if there exists a flow between IPs mappings $(i, j)$ and the value $w_{ij}$ on $i$th column and $j$th line in matrix $W$ defines some summable feature, for example the number of packets transmitted between source and destination.

An egonet of node $i$ is defined as the subgraph formed by all neighbors linked to node $i$ [15], as described by Figure 1. Notice that egonets associated to different nodes may have different dimensions, depending on the degree of each node.

Mainly, our scheme consists of the following three steps:

I. Flow-to-graph. The first step performs the conversion of data from flow format into graph format, by retaining source, destination addresses $(i, j)$ and a particular attribute which represents the weight $w_{ij}$. This particular attribute may be any real-valued summable feature in the original data $X$. Since multiple flows may
occur multiple times between the same pair of nodes, we get multiple weights $w_{tij}$, where $t$ is time counter. We sum over $t$ these weights in order to obtain a final weight: $w_{ij} = \sum_t w_{tij}$.

Based on the obtained graph features and weights, we form the directed graph associated with our data.

II. Graph-to-features. Now on this resulted graph we perform the following operations:

1) Extract all the egonets and stack them into $E$, where each $E_i \in E$ is the egonet associated to node $i \in V$.

1') Extract a random-walk of size $\ell$ for each node. Denote $E_i \in E$ as the random-walk associated to node $i$ in $V$. Starting at node $i$, for at most $\ell$ iterations, a neighbor of the current node is randomly chosen (w.r.t. a uniform probability distribution) and its associated edge is added to the subset $E_i$. The new chosen node becomes the current node and a new iteration is performed. If either the node $i$ or the walk length $\ell$ are reached, the process terminates and outputs the walk.

2) For any $i \in [n]$, extract $p$ features of the egonet/random walk instance $E_i$. Denote $z_i \in \mathbb{R}^p$ the vector of these features.

3) Output matrix $Z \in \mathbb{R}^{p \times n}$, as the array containing all egonet features.

First we perform only once a single step of the two alternatives 1) or 1'). Notice that the random-walk $E_i$ computed in scenario 1') is not limited to the egonet neighborhood of node $i$. The statistical features computed in step 2), after step 1), include: dimension of egonet, the number of out-links, the number of in-links. In alternative scenario 1') they include the weight on the first leg of the walk or the weight transferred all the way from the first node to the last one of the walk. The full description of all features can be find in [23].

III. Feature expansion. Lastly, we expand the original data by adding the columns of $Z$ as prolongation of columns in $X$. Thus, for a given flow $x_t \in X$ from source $i$ to destination $j$, we form:

$$\hat{x}_t = \begin{bmatrix} x_t \\ z_i \\ z_j \end{bmatrix} \in \mathbb{R}^{m+2p}.$$ 

The matrix $\hat{X}$ containing columns $\hat{x}_t$ for $t \in [N]$ is the output of our scheme.

First, notice that the graph embedding at step II maps the flows from $X$ with size $m \times N$ into a final matrix $Z$ with size $p \times n$. By comparison, a column sample of $X$ corresponds to an edge/flow in the graph, while in $Z$ a column associates with a node. In the next section, we show the performance of AD tools in detecting anomalous nodes.

Second, the step III is equivalent with inserting local topological information into flow features. Therefore the attacks that forces anomalous connections between machines are likely to be reflected into graph features $\{z_i, z_j\}$ and detected by an usual anomaly detection.

We further test the performance of several anomaly detections such as: One Class-SVM, Isolation Forests and Local Outlier Factor, onto the data output of the above processing procedure.

III. EXPERIMENTS

In this section we are interested in seeing numerical results of enhancing data with graph specific features. In our simulations we use One-Class SVM (OC-SVM) [11], [12], Local Outlier Factor (LOF) [24], Isolation-Forest (IForest) [25], and an ensemble [26] that includes the above. In the implementation of the latter we use voting methods [27]. In our tables and figures, "standard" denotes the results on the plain data from the public datasets, "graph" denotes the results on the data aggregated in the form of a graph, and "mixed" the results on the plain data with the added graph features.

Even though we focus here on shallow machine learning methods, which we prefer for their performance, speedy results, and known theoretical properties, we also performed preliminary tests with au-
### Table I
Maximum balanced accuracy and running times when tuning parameters on 1% of the available data.

| Dataset         | Method  | (m, N, outliers) | OC-SVM | LOF       | IForest  | Ensemble |
|-----------------|---------|------------------|--------|-----------|----------|----------|
| CIC-IDS2017     | standard| (87, 4588, 5)    | 0.8751 | 0.9751    | 0.8751   | 0.9152   |
|                 | graph   | (48, 382, 1)     | 0.9252 | 0.9685    | 0.9478   | 0.8972   |
|                 | mixed   | (183, 4588, 5)   | 0.8167 | 0.9755    | 0.9010   | 0.8698   |
| UNSW-NB15       | standard| (59, 4400, 321)  | 0.5831 | 0.8663    | 0.9584   | 0.9511   |
|                 | graph   | (48, 42, 4)      | 0.7829 | 0.7763    | 0.6053   | 0.5      |
|                 | mixed   | (155, 4400, 321) | 0.5831 | 0.8037    | 0.9216   | 0.9123   |

### Table II
Balanced accuracy and running times when training on 10% of the data from the UNSW-NB15 and CIC-IDS2017 datasets with the parameters obtained in Table I.

| Dataset         | Method  | (m, N, outliers) | OC-SVM | LOF       | IForest  | Ensemble |
|-----------------|---------|------------------|--------|-----------|----------|----------|
| CIC-IDS2017     | standard| (87, 45883, 928) | 0.3724 | 0.4811    | 0.4132   | 0.4996   |
|                 | graph   | (48, 1999, 1)    | 0.4997 | 0.4705    | 0.4750   | 0.4874   |
|                 | mixed   | (183, 45883, 928)| 0.5955 | 0.4805    | 0.4222   | 0.4821   |
| UNSW-NB15       | standard| (59, 44004, 5148)| 0.6542 | 0.5096    | 0.7259   | 0.5474   |
|                 | graph   | (48, 46, 4)      | 0.7829 | 0.6382    | 0.3289   | 0.5298   |
|                 | mixed   | (155, 44004, 5148)| 0.6619 | 0.5775    | 0.7926   | 0.9103   |

In our experiments, we only extract the first 1% of samples from each dataset and assume that this is known data with known labels on which we can initially train our models. Even though we are only interested in the unsupervised setting, the labels help us tune the parameters through grid-search techniques. The datasets are laid out as time series, meaning that the first selected samples reflect exactly the scenario described above. We denote with \( m \) the number of features and with \( N \) the number of samples.

### IV. Results

In Table I we present the grid-search results on 1% of the data for both databases when using the standard, graph and mixed features. The two columns underneath each method represent the balance accuracy (BA) and the training execution time. We can see that standard and mixed methods are giving similar BA results, identical even for OC-SVM with UNSW-NB15, but the standard ensemble performing better in both cases. The execution times are lower for the graph methods, where there is fewer data to process, and longer for mixed methods where the graph features are added to the standard data. The experiment objective is to obtain proper parameters to be used in future model training on data where labels are not available.

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1. https://www.unb.ca/cic/datasets/ids-2017.html
2. https://research.unsw.edu.au/projects/unsw-nb15-dataset
TABLE III
TYPES OF ATTACKS DETECTED ON THE UNSW-NB15 DATASET WITH THE ENSEMBLES FROM TABLE II (DOES NOT APPLY TO THE GRAPH METHOD)

| Dataset | Attack     | Detected | Total |
|---------|------------|----------|-------|
| standard| Exploits   | 163      | 2088  |
|         | DoS        | 79       | 1014  |
|         | Fuzzers    | 29       | 516   |
|         | Worms      | 0        | 7     |
|         | Backdoor   | 11       | 138   |
|         | Analysis   | 9        | 123   |
|         | Shellcode  | 2        | 52    |
|         | Reconnaissance | 31    | 548   |
|         | Generic    | 256      | 662   |
| mixed   | Exploits   | 1933     | 2088  |
|         | DoS        | 911      | 1014  |
|         | Fuzzers    | 502      | 516   |
|         | Worms      | 7        | 7     |
|         | Backdoor   | 124      | 138   |
|         | Analysis   | 109      | 123   |
|         | Shellcode  | 47       | 52    |
|         | Reconnaissance | 506  | 548   |
|         | Generic    | 644      | 662   |

Table II uses the parameters obtained in Table II to train the models on the next 10% of available data from the time-series. We see a clear degradation in the balanced accuracy compared to the tuned experiments: the dataset is larger and new attacks are present and the model parameters are not optimal. For CIC-IDS2017 all three approaches provide similar results for the methods and the ensemble. Instead, on UNSW-NB15 we see an improvement offered by the graph-based approaches. We assume that this is due to the richer summable attributes in UNSW-NB15 compared to CIC-IDS2017 where most of the attributes are either existing statistics (already summed) or flags information. In terms of execution times, we see a proportional increase corresponding to the ten-fold increase in analyzed data-points.

We further investigate the UNSW-NB15 results in Table III where we compare the standard and mixed ensembles for their capability of identifying specific types of attacks. By identifying more attack samples, the mixed method clearly outperforms the standard one in all scenarios. Worm attacks are not even detected by the standard model. We now use the models form Table II as predictors for the rest of the data samples from the UNSW-NB15 dataset. Figure 2 depicts the performance for different test dataset sizes: 10%, 30%, 50%, 70% and 100%. The True Positive Rates (TPR) and True Negative Rates (TNR) are analyzed together with the number of False Positives (FP) for all models, depicted on the columns, and for all approaches, depicted on the rows. For each row, the number of false positives were scaled such that the reader can see the relative differences between each method. As expected, model performance degrades with time as normal behaviour evolves and new types of attacks arrive. We observe that OC-SVM is the most sensible to these changes, while IForest seems more robust. Ensembles tend to attenuate false positives and promote good TPR rates.

V. CONCLUSIONS
In this paper we studied the performance of unsupervised machine learning methods when analyzing computer networks by starting from a small dataset of known labeled packet samples that we use to tune model parametrization which we then use to investigate their performance for further unsupervised learning on new incoming unlabeled data. Data is augmented through graph feature extraction techniques, such as egonets and random walks, in order to improve the robustness of our models.

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