A New Intelligence Based Approach for Computer-Aided Diagnosis of Dengue Fever

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Abstract—Identification of the influential clinical symptoms and laboratory features that help in the diagnosis of dengue fever in early phase of the illness would aid in designing effective public health management and virological surveillance strategies. Keeping this as our main objective we develop in this paper, a new computational intelligence based methodology that predicts the diagnosis in real time, minimizing the number of false positives and false negatives. Our methodology consists of three major components (i) a novel missing value imputation procedure that can be applied on any data set consisting of categorical (nominal) and/or numeric (real or integer) (ii) a wrapper based features selection method with genetic search for extracting a subset of most influential symptoms that can diagnose the illness and (iii) an alternating decision tree method that employs boosting for generating highly accurate decision rules. The predictive models developed using our methodology are found to be more accurate than the state-of-the-art methodologies used in the diagnosis of the dengue fever.

Index Terms—dengue fever, classification, clinical diagnosis, prediction, imputation, features selection, genetic search, alternating decision trees

I. INTRODUCTION

DENGUE fever (DF) is a mosquito-borne infectious disease caused by the viruses of the genus \textit{Togaviridae}, subgenus \textit{Flavivirus}. The transmission of this disease is through the bites of vectors (aedes aegypti, aedes albopictus) carrying the viruses belonging to \textit{Flavi genus} [1]. From its first appearance in the Philippines in 1953, the disease has been identified as one of the most important arthropod-borne viral disease in humans [2]. Dengue virus infection has been reported in more than 100 countries, with 2.5 billion people living in areas where dengue is endemic. The annual occurrence is estimated to be around \(10^8\) cases of DF and \(250,000\) cases of dengue hemorrhagic fever (DHF).

The diagnosis of dengue fever presents great challenges as the symptoms overlap with other febrile illnesses. Accurate diagnosis is possible only after conducting definitive tests such as enzyme-linked immunosorbent assays (ELISA) and real-time polymerase-chain reaction (RT-PCR) which are based on nucleic and acid hybridization [3]. A recent study [4] on the behavior of C-type lectin domain family 5, member A (CLEC5A) gene may result in a strategy for reducing tissue damage which would help improve the odds of survival of the patients suffering from DHF and dengue shock syndrome (DSS). A multivariate model was developed in [5] for predicting hemoglobin (Hb) using predictors such as reactance obtained from a single frequency bioelectrical impedance analysis, sex, nausea/vomiting sensation and weight. These strategies can be employed only after 2 – 12 days from the onset of the illness and require state-of-the-art laboratory facilities.

The World Health Organization (WHO) has arrived at a classification scheme for identifying the infected individuals based on clinical symptoms and laboratory features. The development of predictive models for diagnosis of dengue fever based on these schemes is affected by missing or incomplete data records in the clinical databases [6] which may arise due to any or all of the following reasons (i) value being lost (erased or deleted) (ii) not recorded (iii) incorrect measurements (iv) equipment errors and (v) an expert not attaching any importance to a particular clinical procedure. Usually data is not collected from an organized research point of view [7]. The presence of large number of clinical symptoms and laboratory features requires one to search large sub spaces for optimal feature subsets. These issues unless addressed appropriately would hinder the development of accurate and computationally effective diagnostic system.

In view of the above challenges, we present the following novel features of our work:

- to identify the missing values (MV) in the data set and impute them by using a newly developed novel imputation procedure;
- to identify a set of clinical symptoms that would enable early detection of suspected dengue in children and adults, which reduces the risk of transmission of the dengue fever in the community;
- to identify the laboratory features and clinical symptoms that would enable better diagnosis and understanding of the disease in suspected dengue individuals. This renders optimal utilization of the laboratory resources required for confirmed diagnosis;
- to build a predictive model that has a capability of rendering effective diagnosis in real time. Further we compare its performance with other state-of-the-art methods used in the diagnosis of dengue fever.
The present paper is organized as follows: A survey of the state-of-the-art techniques for the diagnosis of dengue fever is presented in Section II while in Section III we describe our novel methodology for computer-aided clinical diagnosis of dengue. The performance evaluation of the methodologies is described in Section IV. The description of the data sets and the experimental results are presented in Section V. We present a comparison of our new imputation methodology with other imputation methods in Section VI. In Section VII we discuss the computational complexity of our new method. Comparison of our new methodology with other state-of-the-art methods forms the subject of Section VIII. Conclusions and discussion are deferred to Section IX.

II. SURVEY OF THE STATE-OF-THE-ART TECHNIQUES FOR DIAGNOSIS OF DENGUE FEVER

Logistic regression method was employed to identify clinical symptoms and laboratory features in 381 individuals, out of which 148 were confirmed dengue [8]. The data records with missing values (MV) are ignored and are deleted from the data set. In [9], the study was conducted on clinical records comprising of 341 children and 597 adults out of which 38 and 107 respectively were laboratory-confirmed positive dengue cases. In this study the data fields that are incomplete or inaccurate for all suspected dengue cases were replaced with the known values corresponding to the information in the medical charts. A C4.5 decision tree which has an in-built mechanism of handling MV was employed in [10] to develop a diagnostic algorithm to differentiate dengue from non-dengue illness on a data set comprising of 1200 patients of which 173 had DF, 171 had DHF and 20 had DSS. A support vector machine (SVM) based methodology was employed in [11] to analyze the expression pattern of 12 genes of 28 dengue patients of which 13 were DHF and 15 were DF cases. A set of seven influential genes were identified through selective removal of expression data of these twelve genes.

In the above studies the MV were either removed [8], or filled with approximate values based on medical charts [9]. These approaches would lead to biased estimates and may either reduce or exaggerate the statistical power. Methods such as logistic regression, maximum likelihood and expectation maximization have been employed for imputation of MV, but they can be applied only on data sets that are either nominal or numeric. There are other imputation methods such as k-nearest neighbor imputation (KNNI) [12], k-means clustering imputation (KMI) [13]; weighted k-nearest neighbor imputation (WKKNI) [14] and fuzzy k-means clustering imputation (FKMI) [13] that have been applied on other data sets but not on dengue fever data sets. However, the authors in [8], [9], [11] have employed methods such as odds ratio (OR) and selective inclusion or exclusion of attributes for obtaining features sub sets of data sets of dengue fever. But these methods do not yield effective diagnosis as all interactions or correlations between the features and the diagnosis are not considered in these studies.

III. A NEW METHODOLOGY FOR COMPUTER-AIDED DIAGNOSIS OF DENGUE FEVER

Motivated by the above issues we propose a new methodology comprising of a novel non parametric missing value imputation method that can be applied on data sets consisting of attributes that are of the type categorical (nominal) and/or numeric (integer or real). The methodology proposed in [15] ignores missing values while generating the decision tree, which renders lower prediction accuracies. We have embedded the new imputation strategy (Section III-B) before generating the alternating decision tree which results in the improved performance of the classifier on data sets having missing values. Also, we develop an effective wrapper based features selection algorithm in order to identify the most influential features subset. The present methodology comprises in utilizing the new imputation embedded alternating decision tree and the wrapper based features subset selection algorithm. This methodology can predict the diagnosis of dengue in real time. In fact the machine knowledge acquired by utilizing this novel methodology will be useful to diagnose other individuals based on clinical symptoms and laboratory features where the clinical decision is unavailable. We designate this novel methodology as NM throughout this work.

A. Data representation

A clinical data set can be represented as a set S having row vectors \((R_1, R_2, \ldots, R_m)\) and column vectors \((C_1, C_2, \ldots, C_n)\). Each record can be represented as an ordered n-tuple of clinical and laboratory attributes \((A_{i1}, A_{i2}, \ldots, A_{im}, A_{in})\) for each \(i = 1, 2, \ldots, m\) where the last attribute \((A_{in})\) for each \(i\), represents the physician’s diagnosis to which the record \((A_{i1}, A_{i2}, \ldots, A_{in-1})\) belongs and without loss of generality we assume that there are no missing elements in this set. Each attribute of an element in \(S\) that is \(A_{ij}\) for \(i = 1, 2, \ldots, m\) and \(j = 1, 2, \ldots, n - 1\) can either be a categorical (nominal) or numeric (real or integer) type. Clearly all the sets considered are finite sets.

B. A new non-parametric imputation strategy

The first step in any imputation algorithm is to compute the proximity measure in the feature space between the clinical records to identify the nearest neighbors from where the values can be imputed. The most popular metric for quantifying the similarity between any two records is the Euclidean distance. Even though this metric is simpler to compute, it is sensitive to the scales of the features involved. Further it does not account for correlation between the features. Also, the categorical variables can only be quantified by counting measures which calls for the development of effective strategies for computing the similarity [16]. Considering these factors we first propose a new indexing measure \(I_{C_l}(R_{ki}, R_{lk})\) between two typical elements \(R_{ki}, R_{lk}\) for \(i, k = 1, 2, \ldots, m, l = 1, 2, \ldots, n - 1\) belonging to the column \(C_l\) of \(S\) which can be applied on any type of data, be it categorical (nominal) and/or numeric (real or integer). We consider the following cases:

**Case I:** \(A_{in} = A_{kn}\)

Let \(A\) denote the collection of all members of \(S\) that
belong to the same decision class to which \( R_i \) and \( R_k \) belong and does not have MV. Based on the type of the attribute to which the column \( C_l \) belongs, the following situations arise:

(i) Elements of the column \( C_l \) of \( S \) are of categorical (nominal) type:

We now express \( A \) as a disjoint union of non-empty subsets of \( A \), say \( B_{γ_1}, B_{γ_2}, ..., B_{γ_p} \), obtained in such a manner that every element of \( A \) belongs to one of these subsets and no element of \( A \) is a member of more than one subset of \( A \). That is \( A = B_{γ_1} \cup B_{γ_2} \cup ..., \cup B_{γ_p}, \) in which \( γ_1, γ_2, ..., γ_p \) denote the cardinalities of the respective subsets \( B_{γ_1}, B_{γ_2}, ..., B_{γ_p} \), formed out of the set \( A \), with the property that each member of the same subset has the same first co-ordinate and members of no two different subsets have the same first co-ordinate.

We define an index

\[
I_{C_l}(R_i, R_k) = \begin{cases} \min\{γ_m, γ_k\}, & \text{for } i \neq k; \\ 0, & \text{otherwise.} \end{cases}
\]

where \( γ_p \) represents the cardinality of the subset \( B_{γ_p}, \) all of whose elements have first co-ordinates \( A_{il} \) and \( γ_k \) represents the cardinality of that subset \( B_{γ_k}, \) all of whose elements have first co-ordinates \( A_{kl}. \)

(ii) Elements of the column \( C_l \) of \( S \) are of numeric type:

Numeric types can be classified further as integers (whole numbers) or real (fractional numbers). If the type of attribute is categorical or integer, then the data value that has the highest frequency (mode) and hence the highest frequency occurrence in the corresponding columns of the nearest records to \( R_i \) and \( R_k \) is used for imputation.

For fractional numbers we define the index \( I_{C_l}(R_i, R_k) \) between the two records \( R_i \) and \( R_k \) as

\[
I_{C_l}(R_i, R_k) = \begin{cases} \max\{δ_r, δ_s\}, & \text{for } i \neq k; \\ 0, & \text{otherwise.} \end{cases}
\]

where \( β_r \) represents the cardinality of the subset \( P_{β_r}, \) all of whose elements have first co-ordinates \( A_{ij} \) in set \( P \) and \( δ_s \) represents the cardinality of that subset \( Q_{δ_s}, \) all of whose elements have first co-ordinates \( A_{kl} \) in set \( Q. \)

The proximity or distance scores between the clinical records in the data set \( S \) can be represented as \( D = \{(0, d_{i1}, ..., d_{im}); \{d_{j1}, 0, ..., d_{jm}\}; ...; \{d_{m1}, d_{m2}, ..., 0\}\}\)

where \( d_{kj} = \sqrt{\sum_{i=1}^{m} (I_{C_l}(R_i, R_k))^2} \)

\( j = 1, 2, ..., m \) and \( d \) denotes the mean distance. We then pick up only those records (nearest neighbors) which satisfy the condition \( z(d_{ij}) ≤ 0 \) where \( \{d_{i1}, d_{i2}, ..., d_{im}\} \) denotes the distances of the current record \( R_i \) to all other records in the data set \( S. \)

If the type of attribute is categorical or integer, then the data value that has the highest frequency (mode) of occurrence in the corresponding columns of the nearest records is imputed. For the data values of type real we impute the mean of data values in the corresponding columns of the nearest records.

**Illustrative example:** The following example illustrates the spirit of the new imputation algorithm. Consider a data set represented by the matrix \( S \) consisting of rows \( R_1=(?, 12.0, \text{positive}), R_2= (\text{yes}, 10.5, \text{positive}), R_3=(\text{no}, 14.0, \text{positive}) \) and \( R_4=(\text{no}, 13.0, \text{negative}). \) The missing value instance (‘?) in this data set is present in record \( R_1 \) and column \( C_1. \) These rows correspond to the data records of four individuals. Clearly the Case I item (i) of the imputation algorithm applies to this data set for determining the missing value. The matrix of the indexing measure \( I \) has the following rows: \((0.086)\) and \((0.099)\) in which \( γ_p = 0, γ_s = 1 \) and \( A^β = 12.17. \) The relative distances between \( R_1 \) and the other records are computed as \((0.93, 0, 0)\) and the corresponding z-scores are obtained as \(\{−0.57, −0.57, 1.154\}. \) Since \( z ≤ 0 \) for the distances between \( R_1 \) and \( R_2 \) and also \( R_1 \) and \( R_3, \) we conclude that the records \( R_2 \) and \( R_3 \) are nearer to \( R_1 \) and hence the highest frequency
(mode) of the data value in column $C_1$ is 'yes'. Accordingly this value is a suitable candidate for imputation.

C. Identification of influential features

In situations presented by real world processes, influential features are often unknown a priori, hence features that are redundant or those that are weakly participating in decision making must be identified and appropriately handled. The features selection procedures can be categorized as random or sequential. The sequential methods such as forward selection, backward elimination and bidirectional selection employ greedy methods and hence may not often be successful in finding the optimal features subsets. In contrast to this stochastic optimization methods such as genetic algorithms (GAs) perform global search and are capable of effectively exploring large search spaces [17]. In our approach we adopt a wrapper subset based feature evaluation model [18] where the method of classification itself is used to measure the importance of the features sub set identified by the GA.

D. Predictive modeling using decision trees

An alternating decision tree (ADT) consists of decision nodes (splitter node) and prediction nodes which can either be an interior node or a leaf node. The tree generates a prediction node at the root and then alternates between decision nodes and further prediction nodes. Decision nodes specify a predicate condition and prediction nodes contain a single number denoting the predictive value. An instance can be classified by following all paths for which all decision nodes are true and summing the relevant prediction nodes that are traversed. A positive sum implies membership of one class and the negative sum indicates the membership of the opposite class.

IV. PERFORMANCE EVALUATION METHODS

The standard definitions of the performance measures such as the specificity (SP), sensitivity (SE), receiver operator characteristics (ROC) and area under ROC (AUC) based on number of true positives, true negatives, false positives and false negatives are utilized in our experimental analysis. We employed a stratified $k$-fold cross validation for estimating the test error on classification algorithms. We have randomly divided the given data set into $k$ disjoint subsets. Each subset is roughly of equal size and has the same class proportions as in the original data set. The classification model has been built by setting aside one of the subsets as test data set and train the classifier using the other nine subsets. The trained model is then employed in classifying the test data set. The experiment is repeated by setting aside each of the $k$ subsets as test data sets one at a time. To compute ROC for $k$ folds we first train a classifier using the training data set of a $k$ fold and then obtain the scores in terms of the predicted probabilities for positives and negatives from the trained classifier using the test data set corresponding to the same fold as the training data. Once all the probabilities and corresponding actual decisions are collected, the ROC is obtained by first computing the thresholds using the quartiles of the cumulative predictive probabilities of all the $k$ folds. For each threshold value the measures SE and SP are computed. The false positive rate and true positive rate values of the ROC is taken as (1-SP) and SE respectively. The AUC is computed by applying a trapezoidal rule on the data points of the ROC curve. The optimal cut off or operating point is the threshold that is closest point to (0,1) on the ROC curve which gives the equal error rate. The optimal values of AUC, SE, SP are computed for this cut off point.

V. EXPERIMENTS AND RESULTS

In our methodology we have employed a stratified ten-fold cross validation ($k = 10$) procedure. We applied a standard implementation of SVM with radial basis function kernel [11] using LibSVM package [19]. The GA algorithm for features selection has been performed using the parameter values: cross over probability=1.0 and mutation probability=0.001. The standard implementation of C4.5, LOR algorithms in Weka© [20] are considered for evaluating the performance of our algorithm. We have implemented the NM algorithm and the performance evaluation methods in Matlab©. A non-parametric statistical test proposed by Wilcoxon [21] is used to compare the performances of the algorithms. We compared the NM with the state-of-the-art methodologies employed in diagnosis of dengue fever using different performance measures discussed in Section IV.

A. Data sets

We have obtained four surveillance data sets from case-patients admitted into hospitals located in central and western States of India. Standard procedures were adopted in collecting the clinical and demographic attributes of the patients. The probable cases of the dengue fever are arrived through definitive laboratory tests such as ELISA. The patients records include clinical symptoms: fever, fever duration, headache,
TABLE I Performance comparison of the NM with other methodologies (C4.5, SVM and LOR) on the data sets used in the present study

| Dataset | Method | Accuracy (%) | SE | SP | AUC |
|---------|--------|--------------|----|----|-----|
| DS1     | NM     | 100.00       | 95.90 | 97.27 | 1.00 |
|         | C4.5   | 94.44        | 98.35 | 93.36 | 0.96 |
|         | LOR    | 91.02        | 89.49 | 93.36 | 0.96 |
|         | SVM    | 96.75        | 97.18 | 96.09 | 0.97 |
| DS2     | NM     | 96.55        | 98.97 | 82.53 | 0.93 |
|         | C4.5   | 82.35        | 87.18 | 75.00 | 0.84 |
|         | LOR    | 72.91        | 74.36 | 70.70 | 0.78 |
|         | SVM    | 78.17        | 89.49 | 60.94 | 0.75 |
| DS3     | NM     | 94.97        | 95.41 | 93.55 | 0.99 |
|         | C4.5   | 92.71        | 92.27 | 92.47 | 0.96 |
|         | LOR    | 98.99        | 98.69 | 100.00| 0.99 |
| DS4     | NM     | 90.20        | 91.48 | 86.02 | 0.91 |
|         | C4.5   | 88.44        | 89.84 | 83.87 | 0.90 |
|         | LOR    | 75.00        | 98.03 | 75.27 | 0.87 |

retro-orbital pain (eye pain), myalgia (body pain), arthralgia (joint pain), nausea or vomiting, bleeding gums, rash, bleeding sites, restlessness and abdominal pain and laboratory features: haemoglobin (Hb), white blood cell count (WBC), packed cell volume (PCV) and platelets. The last attribute in data set is the decision attribute. The clinical records are then regrouped into four data sets. The first data set (DS1) comprises of 646 adults (age ≥ 16 years) with clinical symptoms and laboratory features out of which 256 were dengue positive and 390 are dengue negative. The second data set (DS2) is a part of DS1 consisting of only clinical symptoms (ignoring the laboratory features) and has the same number of records as in DS1. The third data set (DS3) consists of 398 children (age between 5 – 15 years) [9] with clinical symptoms and laboratory features, out of which 93 were dengue positive and 305 were dengue negative. The fourth data set (DS4) is a part of DS3 with only clinical symptoms and has same number of records as DS3.

B. Results

The performance of the NM is compared with other methodologies (C4.5, SVM and LOR) on the data sets used in the present study and the classification accuracies are presented in Table I. A hundred percent accuracy is reported by NM both in data sets DS1 and DS3. The Wilcoxon matched-pairs rank sum test results comparing the accuracies of NM with other methodologies are shown in Table II. For example, the positive rank sum of 55.0 and negative rank sum of 0.0 with a p-value < 0.001 for C4.5 using data set DS1 (first row Table II) indicates the superior performance of the new methodology over C4.5 and also in respect of other methods as well.

The above comparisons and statistical tests clearly demonstrate the significance of our methodology in identifying the suspected dengue both in children and adults. The imputation strategy employed in our methodology has improved the classification accuracies when compared with C4.5 which uses a modified information gain measure to generate the decision tree in presence of MV. The mean imputation strategies adopted in SVM and LOR could not render classification accuracies higher than NM.

The features subsets identified by the NM is shown in Table III. The application of features selection method reduced the number of attributes by 75% in DS1 and 87.5% in DS3 data sets. Our methodology identified some of the clinical symptoms and laboratory features in adults (vomiting and abdominal pain) different from those in children which are in concurrence with earlier studies [22], [23]. The clinical attribute rash was identified as an important feature in adults but not in children. This may be explained by the relative frequency of the secondary infections in adults [24]. Arthralgia was found to be influencing the final diagnosis of dengue both in children and adults. The ROC curves comparing the performance of NM with other methodologies in diagnosis of dengue fever are shown in Figs. 1a-1d. The operating point or cut off point (p < 0.001) is shown as a pentagon on each of the ROC curves. The ROC curves clearly demonstrate the superior performance of NM over other methods used in the diagnosis of dengue.

VI. PERFORMANCE COMPARISON OF NEW IMPUTATION ALGORITHM WITH BENCH MARKING DATA SETS

Since no specific studies on imputation of missing values in dengue data sets we have utilized some bench marking data sets obtained from Keel and University of California Irvin (UCI) machine learning data repositories [25], [26] to test the performance of the new imputation algorithm. The

TABLE III Influential features subsets identified by NM

| Dataset | # Original features | # Influential features | Accuracy (%) | Features identified |
|---------|---------------------|------------------------|--------------|--------------------|
| DS1     | 16                  | 5                      | 100.00       | retro-orbital pain, arthralgia, fever duration, platelet, fever |
| DS2     | 9                   | 6                      | 86.53        | vomiting or nausea, myalgia, rash, bleeding sites, abdominal pain, arthralgia |
| DS3     | 16                  | 2                      | 100.00       | HS, fever          |
| DS4     | 9                   | 2                      | 95.48        | retro-orbital pain, arthralgia |

TABLE II Wilcoxon matched-pairs rank sum test for comparing the performance of NM with other methodologies used in diagnosis of dengue fever

| Dataset | Method | Rank sum(+) , - | p-value |
|---------|--------|-----------------|---------|
| DS1     | C4.5   | 55.0, 0.00      | 0.002   |
|         | LOR    | 55.0, 0.00      | 0.002   |
|         | SVM    | 45.0, 0.00      | 0.004   |
| DS2     | C4.5   | 55.0, 0.00      | 0.002   |
|         | LOR    | 55.0, 0.00      | 0.002   |
|         | SVM    | 55.0, 0.00      | 0.002   |
| DS3     | C4.5   | 36.0, 0.00      | 0.008   |
|         | LOR    | 36.0, 0.00      | 0.008   |
|         | SVM    | 10.0, 0.00      | 0.125   |
| DS4     | C4.5   | 38.5, 6.5       | 0.074   |
|         | LOR    | 37.0, 8.0       | 0.098   |
|         | SVM    | 27.0, 9.0       | 0.25    |
Wilcoxon statistics in Table IV is computed based on the accuracies obtained by the new imputation algorithm with the accuracies of those obtained by other imputation algorithms using a C4.5 decision tree. The results in Table IV clearly demonstrate the fact that our algorithm is superior to other imputation algorithms as the positive rank sums are higher than the negative rank sums ($p < 0.05$) in all the cases.

TABLE IV Wilcoxon sign rank statistics for matched pairs comparing the new imputation algorithm with other imputation methods using C4.5 decision tree

| Method | Rank Sums | Test Statistics | Critical Value | p-value |
|--------|-----------|-----------------|----------------|---------|
| FKMI   | 78.5, 12.5| 12.5            | 18             | 0.021   |
| KMI    | 85.0, 6.0 | 6               | 18             | 0.003   |
| KNNI   | 76.0, 15.0| 15              | 18             | 0.032   |
| WKNNI  | 83.0, 8.0 | 8               | 18             | 0.006   |

VII. COMPUTATIONAL COMPLEXITY

The computational complexity is a measure of the performance of the algorithm. For each data set having $n$ attributes and $m$ records, we select only those subset of records $m_1 \leq m$, in which missing values are present. The distances are computed for all attributes $n$ excluding the decision attribute. So, the time complexity for computing the distance would be $O(m_1 \times (n - 1))$. The time complexity for selecting the nearest records is of order $O(m_1)$. For computing the frequency of occurrences for nominal attributes and average for numeric attributes the time taken would be of the order $O(m_1)$. Therefore, for a given data set with $k$-fold cross validation having $n$ attributes and $m$ records, the time complexity of our new imputation algorithm would be $k \times (O(m_1) \times (n - 1) \times m) + 2 \times O(m_1))$ which is asymptotically linear. Our experiments were conducted on a personal computer having a Intel(R) core (TM) 2 Duo, CPU @2.93 GHZ processor with 4 GB RAM. For each data set the computational time for imputation and features selection is measured in terms of the number of CPU clock cycles elapsed in seconds. Based on the results, we obtain a scatter plot (red line in Fig. 2) between the varying database sizes and the time taken by NM. Also, we employed a linear regression on our results and obtained the relation between the time taken (T) and the data size (D) as $T = 0.96D + 5.54$, $\alpha = 0.05$, $p < 0.05$, $r^2 = 0.98$. The presence of the linear trend between the time taken and the varying database sizes ensures the numerical scalability of the performance of NM in terms of asymptotic linearity.

VIII. COMPARISON OF RELATED METHODOLOGIES ON DENGUE STUDIES

In this section we compare the results (Table V) obtained in [8]–[10] with the results of our new methodology on the current data set of 1044 individuals including children and adults. As compared to [9] where children with rash were having SE of 41.2% and SP of 95.5% our methodology when applied on the data set DS2 resulted in an accuracy of 86.53%, SE of 88.97% and SP of 82.81% which is considered to be a good classification model as both SE and SP are higher than 80%. In [10] both clinical and laboratory features were utilized to develop decision rules using C4.5 decision tree and they have reported a SE of 87.8% and SP of 75.7%. In comparison to [10] our methodology when applied on DS1 and DS3 had resulted in SE of 100% and SP of 100%. From these comparisons we conclude that the new methodology presented in this study if applied on the data sets used in [8]–[10] would yield more accurate results.

IX. CONCLUSIONS AND DISCUSSION

A new methodology (NM) with built in features for imputation of missing values and identification of influential attributes is discussed. The NM has out performed the state-of-the-art methodologies in diagnosis of dengue fever on all
TABLE V Evaluation of NM with other related methodologies on dengue studies

| State-of-the-art | #Patients (DF) | Records with MV | Records with ADT | ADT | Methods | Accuracy (%) | SE (%) | SP (%) |
|------------------|----------------|-----------------|------------------|-----|---------|--------------|--------|--------|
| Chadwick et al., (clinical) | 381 (148) | deleted | LOR, OR | 84.5 | 84 | 85 |
| Chadwick et al., (laboratory) | 381 (148) | deleted | | 76.5 | 74 | 79 |
| Ramos et al., (clinical, children) | 938 (38) | manual update | | 68.95 | 41.2 | 95.5 |
| Tanner et al., (laboratory) | 1200 (173) | deleted | | 81.75 | 87.8 | 75.7 |
| Gomes et al., (gene database) | 20 (15) | SVM | | 85 | - | - |
| NM (DS1) (adults, clinical & laboratory) | 1044 (256) | imputed (new algorithm) | ADT, GA | 100 | 100 | 100 |
| NM (DS2) (adults, clinical) | 1044 (256) | | | 86.53 | 89.97 | 82.81 |
| NM (DS3) (children, clinical & laboratory) | 1044 (93) | | | 100 | 100 | 100 |
| NM (DS4) (children, clinical) | 1044 (305) | | | 95.48 | 98.05 | 87.10 |

the four data sets considered in our experiments. The NM has generated a decision tree with an accuracy of 100.0% in children and adults using both clinical and laboratory features. Based on the performance measures we conclude that the use of the new imputation strategy and features selection methods with wrapper based subset evaluation using genetic search has improved the accuracies of the predictions. Though the new methodology discussed in this paper may be taken as a universal tool for the effective diagnosis of this disease, it remains to be seen whether or not this methodology is geographically independent. However, we are willing to share our predictive methodologies and strategies with the researchers working on dengue fever all over the globe. We hold the view that more intensive and introspective studies of this kind will pave way for better clinical management and virological surveillance of dengue fever.

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