INTRODUCTION

In the last three decades, dynamic effects on transmission lines have been studied by different authors (Matheson, Holmes 1981; Alam, Santhakumar 1994; Oliver et al. 2000; Li 2000; Savory et al. 2001, 2008; Loredo-Souza, Davenport 2003; Shehata et al. 2005; Kudzys 2006; Paluch et al. 2007; Lin et al. 2012; Miguel et al. 2012), confirming that this subject is not fully addressed and still deserves attention.

Although these studies have shown that the simplified static-equivalent approaches, typically adopted for the design of TL structures, are appropriate for conventional designs (Matheson, Holmes 1981; Alam, Santhakumar 1994; Loredo-Souza, Davenport 2003; Miguel et al. 2012), scarce information is available for the structures and span dimensions adopted in the crossing of the Trombetas River, which are outside the scope of TL codes (e.g. IEC 60826 – 2003 considers spans between 200 and 800 m and towers up to 60 m high). Moreover, design requirements for winds associated to localized events such as thunderstorms (TS) winds just begun recently to be specifically considered in TL wind design. The few available references (Oliver et al. 2000; Li 2000; Savory et al. 2001; Shehata et al. 2005) focus attention, once again, on conventional towers with heights below 60 m.

Thus, the necessity for further evaluations is clear. The resulting information should be useful to designers of large TL towers, since both code specifications and literature available are not applicable to exceptionally tall towers.

Within this context, this paper aims at the determination of the dynamic behaviour, caused by different excitations, of a special crossing steel tower in the Brazilian Amazon region. The studies were carried out through modelling and analysis of the entire transmission line segment (towers, cables and insulator strings), representing cables and structures by means of truss elements and solving the resulting equations of motion by direct explicit numerical integration, using central finite differences. In this approach geometrical non linearity is naturally considered, thus accounting for large displacements and the possibility of global instability or of rupture of any of the components.

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In order to numerically simulate Extended Pressure System (EPS) winds, which are modelled as a horizontal air flow, with uniform mean velocity and orientation throughout a large region, it is admitted that the wind field can be described by a stationary and homogeneous 3D turbulent flow. The wind turbulence is defined by the spectra of the two horizontal and the vertical fluctuating velocity components, which are usually assumed independent random processes, as described in Section 2.1. The model described above constitutes a reasonable approximation for EPS winds, characteristic of both extra-tropical and tropical storm winds, but it is not applicable for thunderstorm (TS) winds. In this study, these storms were simulated employing the model proposed by Ponte and Riera (2007, 2010), as described in Section 2.2.

In addition, the structural response due to cable rupture is also simulated. Modelling of the complete TL segment allows the assessment of important factors that are not considered in usual practice, such as the influence of the remaining cables in case of rupture of a bundled conductor as well as the redistribution of the internal forces when the collapse of an adjacent component occurs. Thus, an important additional contribution of the paper consists of the numerical evaluation of the behaviour of a TL segment subjected to cable rupture.

Finally, since the base of the towers is built on concrete columns 10 m above terrain level, founded on soils with low carrying capacity, the influence on the response of the flexibility of the foundations was also evaluated during design. Three different models of the foundations were examined: rigid, semi-rigid and floating foundations. Peak values of the axial member forces for all cases are compared with the response obtained through conventional TL design methods. Additionally, the spectral properties of the GTS 01 tower were determined through a set of FEM models and a comprehensive study assessing model uncertainty on response was carried out.

1. Description of the crossing and the structural system

1.1. Crossing on the Trombetas River

The crossing TL over the Trombetas River is composed of anchor towers at both ends (GTA 00 and GTA 01) and a central section with three suspension towers (GTS 00, GTS 01 and GTS 02), as shown in Figure 1. Details of the tower GTS 01 can be seen in Figure 6 of Section 4.

The main spans of the Trombetas River crossing design are 1598 m and 1590 m long, while the suspension towers should have useful heights equal to 190 m and 119 m. Two towers (GTS 00 and GTS 01) have their foundations about 10 m above dry ground level, due to the elevation of the river level during the flooding season (Menezes et al. 2012).

Fig. 1. View of the crossing over the Trombetas River

1.2. General considerations

Direct explicit numerical integration of the equations of motion in the time domain is adopted, using the finite central differences scheme, because it does not require assembling or updating the system global stiffness matrix. Integration is accomplished at elements level, which constitutes an advantage in nonlinear problems. Additional details about this integration method applied to dynamic analysis of TL towers and cables can be found in Miguel et al. (2005), Kaminski et al. (2005, 2008), and Kaminski (2007).

The tower selected (GTS 01) to provide spectral properties as well as for monitoring axial forces and top displacements is identified in Figure 1. The aerodynamic coefficients were determined following the procedure defined by IEC 60826 (2003). Regarding structural damping, it is known that energy dissipation in steel lattice towers increases with the vibration amplitude. Limited experimental evidence suggests critical damping ratios around 10% for large response amplitudes (Silva et al. 1984). Hence in the dynamic simulations reported herein, the suggested mean 10% value was adopted.

1.3. Modal analysis of the GTS 01 Tower

Before performing the dynamic analysis of the TL segment, a modal analysis of a FEM model of GTS 01 isolated tower was carried out, in order to determine its spectral properties separately, i.e. without cables and insulators. The sensitivity of the results to variations of the parameters was carefully evaluated (Silva et al. 2005). To assess the influence of mass distribution, foundation flexibility and type of element on the first six frequencies and modes, twelve models were analysed. The first six natural frequencies and vibration modes are presented in Table 1. For a more convenient comparison, the following symbols are employed: (1) 3D-Truss element (T), 3D-Beam element (B), 3D-Truss and beams elements (TB); (2) the presence of the elevated foundation (10 m-high concrete columns) is indicated by (EW) and its absence by (EWO); (3) the presence of additional...
Table 1. First six natural frequencies and mode shapes of the tower GTS 01

| MODEL                      | 1<sup>st</sup> Bending Mode – X-direction | 1<sup>st</sup> Bending Mode – Z-direction | 1<sup>st</sup> Torsion Mode | 2<sup>nd</sup> Bending Mode – X-direction | 2<sup>nd</sup> Bending Mode – Z-direction | 2<sup>nd</sup> Torsion Mode |
|----------------------------|-------------------------------------------|-------------------------------------------|-----------------------------|-------------------------------------------|-------------------------------------------|-----------------------------|
| 01 (TB-EWO-MWO-RF)        | 1.04                                      | 1.04                                      | 1.52                        | 1.69                                      | 1.69                                      | 2.18                        |
| 02 (TB-EWO-MWO-RF)        | 1.04                                      | 1.05                                      | 1.56                        | 1.70                                      | 1.71                                      | 2.41                        |
| 03 (TB-EW-MWO-RF)         | 1.00                                      | 1.00                                      | 1.50                        | 1.57                                      | 1.58                                      | 2.15                        |
| 04 (TEW-MWO-RF)           | 0.99                                      | 1.00                                      | 1.54                        | 1.58                                      | 1.59                                      | 2.36                        |
| 05 (TEW-MWO-CF)           | 0.86                                      | 0.86                                      | 1.48                        | 1.47                                      | 1.48                                      | 2.12                        |
| 06 (TEW-MWO-CF)           | 0.86                                      | 0.87                                      | 1.51                        | 1.47                                      | 1.49                                      | 2.32                        |
| 07 (TB-EWO-MW-RF)         | 0.73                                      | 0.73                                      | 1.00                        | 1.28                                      | 1.30                                      | 1.63                        |
| 08 (TEW-MW-RF)            | 0.73                                      | 0.74                                      | 1.02                        | 1.28                                      | 1.30                                      | 1.65                        |
| 09 (TB-ES-MW-CF)          | 0.65                                      | 0.65                                      | 0.99                        | 1.10                                      | 1.12                                      | 1.56                        |
| 10 (T-ES-MW-CF)           | 0.62                                      | 0.62                                      | 1.01                        | 1.09                                      | 1.11                                      | 1.57                        |
| 11 (TB-ES-MW-FF)          | 0.31                                      | 0.31                                      | 0.83                        | 0.82                                      | 0.82                                      | 1.23                        |
| 12 (T-ES-MW-FF)           | 0.31                                      | 0.31                                      | 0.83                        | 0.82                                      | 0.82                                      | 1.26                        |

The support reactions were evaluated through a full dynamic simulation, assuming that the coefficients indicated above define the foundation stiffness. Peak values observed in the dynamic simulations were compared with predictions of the static analysis, to establish maximum values to be used for the foundation design, which provided the final stiffness coefficients.

The final configuration of the tower foundations consists of 7.0×7.0×2.60 m concrete blocks, which are supported by nine inclined tubular metallic piles with 1.0 m external diameter and 0.125 m thickness. A FEM model of the tower was subjected to static gravity and wind loading by an independent firm that designed the foundations. This static analysis of a single tower led to the forces and corresponding displacements at the support nodes of the steel tower indicated in Table 2, which were used to establish equivalent stiffness coefficients for the elastic supports of the steel tower in the global model (Fig. 4). The stiffness coefficients in both horizontal directions resulted equal to \( k_x = k_y = 3.45\times10^7 \) N/m. In the vertical direction, coefficients \( k_z = 3.983\times10^8 \) N/m for tension and \( k_v = 1.413\times10^9 \) N/m for compression were obtained. These coefficients apply to the entire foundation system, including the tubular concrete columns and account for soil properties as well as P-delta effects.
supports were introduced in the model. Note that the horizontal coefficients \( k_x \) and \( k_z \) were taken as the average between the values presented in Table 2.

1.5. Design procedure for cable rupture

In the case of the crossing section on the Trombetas River, the conductor cables were designed for a tension equal to 22% of its capacity (UTS – Ultimate Tension Stress). Therefore, the magnitude of the load that should be applied on the GTS 01 tower, in the longitudinal direction, must be around 18% of its UTS, jointly with other relevant loads in the vertical direction due to dead weight of the tower, equipment, conductor cables that did not break and shield wires.

2. Simulation of wind velocity fields

2.1. Synoptic winds (EPS storms)

The procedure to generate the wind field adopted in the paper requires first the generation of uncorrelated wind velocity time histories for the specified psdf of the fluctuating velocity components. In a Cartesian coordinate system \((x,y,z)\), in which \(z\) denotes height above the ground and \(x\) the along-wind direction, the wind velocity is assumed to consist of a mean velocity vector \(\vec{v}(z)\) and a fluctuating component velocity vector \(\Delta \vec{v}(x,y,z,t)\) which is assumed a stationary random vector process with zero mean:

\[
\vec{v}(x,y,z,t) = \vec{v}(z) + \Delta \vec{v}(x,y,z,t).
\] (1)

The mean wind profile \(\vec{v}(z)\) is herein described using the classical logarithmic law. The fluctuating velocity components \(\Delta \vec{v}(x,y,z,t)\) are zero-mean normal random processes simulated in this study by superposition of harmonic waves, as described by Shinozuka and Jan (1972). Several expressions for the power spectral density function \(S_v\) of the longitudinal component of the fluctuating wind velocity are found in the literature. In this paper, Davenport’s model (Davenport 1961) is considered.

Riera and Ambrosini (1992) proposed a very efficient scheme to generate a correlated random wind field for the dynamic analysis of tall vertical towers, based on the adoption of a triangular cross-correlation function. This approach was extended by Miguel et al. (2009, 2012) to two and three dimensions. In such cases the coordinates of nodes in a 2- or 3-D arrangement must be specified, such that the distance between nodes is given by the correlation length in each direction. Thus, in order to simulate the spatially correlated wind field, the correlation lengths in the transversal and vertical directions were determined from the experimental data (Blessmann 1995).

In the TL, while the nodes of the towers may be assumed stationary, i.e. they experience negligibly small displacements, the nodal masses of the cables suffer large displacements, requiring the simulation of the velocity components at locations that are variable with time, thus greatly increasing the computational effort. Thus, to maintain the processing time within reasonable limits, the mean locations of all nodal masses along the conductors in the model of the TL segment were considered for determining the correlated velocity components. This simplifying hypothesis allowed the determination of the velocity components of the incident wind in a 2D rather than a 3D domain.

Then, the TL segment was contained in a plane, subdivided in a mesh composed by 150 rectangles laterally disposed, 100 m long in the horizontal direction and 50 m, 75 m and 100 m wide in the vertical direction. Following the procedure described before, wind velocity time histories were independently generated for each node of the 2D mesh and for each orientation \((x, y, z)\). These values were then used for determining the velocity components at the nodes of the structure, through the proposed interpolation procedure. The resulting spatially correlated wind field in the directions \((x, y, z)\), was used to evaluate the applied forces on each TL segment node (on towers, insulators and cables).

2.2. Thunder Storms (TS) winds

Ponte and Riera (2007) described a wind velocity field applicable to thunderstorm (TS) events, in which a descending flow occurs causing high-velocity and short duration winds near the ground surface. It was verified by Ponte and Riera (2010) that simulations of annual extreme wind velocities at meteorological stations in southern Brazil closely agree with existing records. Thus, the model may be used for design purposes in other regions, especially in cases with scarce or no data.

Available information suggests that the isokeraunic number in Oriximiná is higher than 120, i.e. almost twice the frequency observed in Brazilian temperate zones (central-south). It may be concluded that the tower GTS 01 will be subjected to a greater number of TS events than current design situations in Brazil, which imply a higher risk, since they are associated to larger velocities in a descending flow. However, considering additionally its geographical location and regional characteristics, the possibility of occurrence of the so called squall-lines was disregarded.

On the other hand, stationary or quasi-stationary TS events were taken into account. In those events, the translational velocity of the cumulonimbus cloud is neglected in comparison with the wind velocity in the downdraft. The horizontal wind velocity evolution of these storms over time were simulated through the mentioned model, which considers the turbulent component described by a spectrum defined by a clipped white noise, between 0.05 and 0.55 Hz. The normalized velocity for a maximum tangential velocity equal to 1.0 m/s is shown in Figure 3.

Table 2. Force vs. displacements for design foundations

| Force (×10⁶ N) | Displacement (m) | Force (×10⁷ N) | Displacement (m) |
|----------------|-----------------|----------------|-----------------|
| Y 15.79        | 0.011           | 4.98           | 0.001           |
| X 2.12         | 0.063           | 1.19           | 0.047           |
| Z 2.12         | 0.051           | 1.23           | 0.033           |
TS winds present an additional difficulty when compared to EPS winds. In the latter, the vertical wind velocity profile remains constant for any location on the surface. On the other hand, in TS events the wind velocity field depends on the position of the cumulonimbus cloud in relation to the location of interest. It was admitted, in consequence, that the horizontal velocity is maximum on the ground and decreases to 75% of this value at a 200 m height. The vertical component of the velocity was taken as 50% of the horizontal component. In a horizontal plane, the wind horizontal velocity reaches its maximum in the vertical plane which is coincident with the cumulonimbus cloud axis, rapidly decreasing with the distance. In order to simplify the 3D wind velocities field, a constant velocity was assumed within a 50 m horizontal range, being zero outside this region. Finally, a maximum horizontal velocity at ground level equal to 40 m/s was adopted for design verification.

3. Mechanical model for the dynamic analysis

3.1. Description of the numerical model

The entire crossing over the Trombetas River was modelled, including the two highest towers (GTS 01 and GTS 02), conductor cables, shield wires, insulator strings and tower foundations, as shown in Figure 4. The insulator strings (7.15 m length) for each conductor cables bundle in the GTS towers are double (Fig. 5). The conductor cables used in the crossing section are bundles with four AACSR 535/240 cables while the shield wires are OPGW type. Their properties are presented in Table 3 and Table 4, respectively. In the model, the bundles were replaced by a single cable element, with outside diameter, cross section area, tension capacity and unit weight equal to four times the values presented in Table 3.

3.2. Constitutive law of conductor cables and shield wires

A linear model is used to calculate cables sags, elongations and tensions. At the beginning of the analysis (initial condition, \( t = 0 \) s) the cable should be in a position such that, after the application of dead loads, it

| Table 3. Properties of the AACSR 535/240 conductor cable |
|--------------------------------------------------------|
| External diameter                                      | 36.21 mm          |
| Cross sectional area (aluminum alloy)                  | 535.70 mm²       |
| Cross sectional area (steel)                           | 239.36 mm²       |
| Total cross sectional area                             | 775.06 mm²       |
| Tension capacity                                       | 499.5 kN          |
| Weight per unit length                                 | 34.64 N/m         |
| Elastic modulus in tension                             | 94500 MPa         |

Fig. 3. Normalized tangential velocity in TS event

Fig. 4. Mechanical model of the crossing section over the Trombetas River
Table 4. Properties of the OPGW shield wire

| Property                        | Value       |
|---------------------------------|-------------|
| External diameter               | 24.30 mm    |
| Cross sectional area            | 349.14 mm²  |
| Tension capacity                | 397.6 kN    |
| Weight per unit length          | 22.563 N/m  |
| Elastic modulus in tension      | 129845 MPa  |

is subjected to the design tension force, equivalent to a percentile of the tensile strength of the cable, with the theoretical catenary \( f_{theoretical} \) and the maximum sag \( f_0 \). The formulation used to determine the theoretical catenary, the maximum sag, the position of the maximum sag \( x_0 \) and the theoretical length of the cables is described by Kaminski Jr. (2007). Additional details are given by Irvine and Caughey (1974).

### 3.3. Constitutive law of insulator strings

The insulator strings were modelled with elements able to carry only tensile forces. In this paper, a linear model is used. As mentioned before, all the insulator strings in the GTS towers are double with 7.15 m length. The values used to calculate the tensile forces in the insulator strings are presented in Table 5.

### 3.4. Constitutive law of bars of the towers

Towers GTS 01 and GTS 02 were designed for ASTM A572 steel, with elastic modulus \( E = 200 \text{ GPa} \). The linear model, both in tension as well as in compression, was adopted to describe the force-displacement behavior of the truss elements. The elastic modulus of ASTM A572 steel was adopted as \( E_{BT} = 200 \times 10^3 \text{ MPa} \).

### 3.5. Load application

The required duration of the dynamic analysis depends on the applied loading; for cable rupture the numerical integration extended to 40 s, while for EPS and TS wind loads the duration of the analysis was 60 s and 160 s, respectively. The dead weight of cables, towers, insulators and additional masses was gradually applied during 5 s, allowing 15 s to damp out induced vibrations.

Rupture of the cable is specified to occur 20 s after beginning the integration process, that is, after the initial conditions are reached. The cable rupture is simulated making the axial force in the element selected to break equal to zero. The cable elements (conductor cable bundle and shield wire) assumed to break is shown in Figure 5. The evolution with of displacements in the longitudinal direction \( z \) of nodes 19 and 148, located at top and bottom of tower GTS 01, respectively, due to rupture of conductor cable bundle 01, for the three support conditions, are shown in Figure 7.

### 4. Results, comparisons and discussions

The evolution with time of the displacements in longitudinal direction \( z \) of nodes 19 and 148, located at top and bottom of tower GTS 01, respectively, due to rupture of conductor cable bundle 01, are indicated in Table 6, along with the peak values and final state predicted by the dynamic analysis. Table 6 shows that the peak values of axial forces according to the dynamic analysis for the cable rupture hypothesis were, on average, two times higher than those obtained in the standard static analysis.

This leads to important conclusions. Firstly, it may be pointed out that the dynamic analysis of the models on rigid and flexible (according to actual design) foundations led to almost coincident peak values and final state values for axial forces on the selected elements, while the response for the model on a floating foundation tended to be slightly lower. In addition, the close correlation between the final state in the dynamic analysis and the standard static predictions constitutes strong evidence of the robustness of the latter, which is normally adopted for engineering design. On the other hand, dynamic amplification may approach 50% for main members and significantly exceed that value in case of diagonal members. It is thus concluded that dynamic amplification effects are not negligible in TL crossings and may cause failure of the towers if not properly taken into account for design purposes.

The evolution with of displacements in the direction normal to the TL of nodes 19 and 148 (Fig. 6) due to EPS wind loads for the three support types analyzed are shown in Figure 8.

Axial forces in selected diagonal and main members of the tower obtained by means of the static and dynamic analysis for EPS wind loads are indicated in Table 7. The maximum axial force values in structural members are determined by Eqn (2):

\[
F_{max} = \mu_F (1 + gCV_F),
\]

where \( F(t) \) over part of the time of analysis (from 40 s to 60 s), \( CV_F \) is the coefficient of variation and \( g \) represents a peak factor taken herein equal to 4. The maximum values provided by the dynamic analysis, for the three support conditions, were around 20% lower than those obtained in the static analysis, indicating that the static equivalent procedure adopted by TL design codes is appropriate even for structures outside the intended range of applicability of the latter.
The evolution with time of displacements in the direction normal to the TL of nodes 19 and 148 (Fig. 6) due to TS wind loads for the three support types analyzed are shown in Figure 9.

The axial forces in selected diagonal and main members of the tower for the static and dynamic analysis due to TS wind loads are indicated in Table 8. Peak values predicted by the dynamic analysis, for the three support conditions, were higher than those obtained in the static analysis, for almost all bars, except the main member 1067. Additionally, the rigid and the design supports in the dynamic analysis, presented practically coincident peak values for axial forces on the selected elements, while the responses for the floating foundation were slightly higher.

It is also important to point out that great variability was observed on the axial forces determined in the static and dynamic analysis. This may be explained by the fact that there is not an agreement of a method, in current engineering design, to determine TS wind loads. Engineers usually adopt a very simple model based on practical experience, which applies a constant force along the tower height, caused by a wind velocity that is 20% higher than the EPS reference wind speed (10 m above ground). In addition, wind forces on cables are determined considering 50% of the EPS reference wind speed. Furthermore, this model is adopted even in TL structures located in regions that are prone to the occurrence of squall-lines, which could explain the high rate of accidents suffered by TL tower structures.
Table 6. Axial forces in some members of the tower GTS 01 due to rupture of the conductor cable bundle 01

| Node | Static Analysis (kN) | Dynamic Analysis | Rigid Foundation | Design Foundation | Floating Foundation |
|------|-----------------------|-------------------|------------------|------------------|-------------------|
|      |                       |                   | Peak Response (kN) | Final state Response (kN) | Peak Response (kN) | Final state Response (kN) | Peak Response (kN) | Final state Response (kN) |
| 553  | 288                   | 660               | 299              | 633              | 298              | 492              | 279              |
| 554  | 40                    | 518               | 53               | 489              | 52               | 322              | 32               |
| 555  | –1288                 | –1670             | –1318            | –1644            | –1317            | –1511            | –1297            |
| 556  | –1121                 | –1665             | –1160            | –1635            | –1159            | –1505            | –1138            |
| 685  | 127                   | 720               | 142              | 656              | 140              | 339              | 93               |
| 686  | 50                    | 747               | 68               | 681              | 65               | 324              | 18               |
| 687  | –1599                 | –2222             | –1633            | –2160            | –1631            | –1845            | –1582            |
| 688  | –1532                 | –2274             | –1568            | –2194            | –1566            | –1829            | –1518            |
| 569  | 217                   | 371               | 215              | 373              | 215              | 372              | 216              |
| 570  | –204                  | –372              | –204             | –374             | –204             | –369             | –204             |
| 571  | 192                   | 382               | 185              | 359              | 185              | 355              | 186              |
| 572  | –184                  | –375              | –189             | –377             | –189             | –370             | –189             |
| 581  | –210                  | –383              | –209             | –378             | –209             | –358             | –205             |
| 582  | 184                   | 352               | 183              | 358              | 183              | 369              | 189              |
| 583  | –156                  | –321              | –154             | –330             | –154             | –338             | –159             |
| 584  | 229                   | 409               | 229              | 403              | 228              | 380              | 224              |

Fig. 8. Displacements in the direction normal to the TL at top (Node 19 – left) and bottom (Node 148 – right) of tower GTS 01, due to EPS wind load, for three support types considered

Table 7. Axial forces in some members of the tower GTS 01 due to EPS wind loads

| Node | Static Analysis (kN) | Rigid Foundation | Design Foundation | Floating Foundation |
|------|-----------------------|------------------|------------------|-------------------|
|      |                       | Peak (kN)        | Mean (kN)        | Peak (kN)         | Mean (kN)        |
| 571  | –491                  | –405             | –336             | –405             | –337             |
| 572  | 489                   | 411              | 342              | 411              | 343              |
| 686  | 4202                  | 2997             | 2473             | 2996             | 2473             |
| 688  | –5904                 | –4557            | –4051            | –4560            | –4055            |
| 1064 | 4476                  | 4314             | 2970             | 4340             | 2986             |
| 1067 | –7903                 | –6363            | –5807            | –6399            | –5827            |
|      |                       | Design Foundation | Floating Foundation |
|      | Peak (kN)              | Mean (kN)        | Peak (kN)        | Mean (kN)        |
| 571  | –491                  | –405             | –407             | –407             |
| 572  | 489                   | 411              | 413              | 413              |
| 686  | 4202                  | 2997             | 3097             | 3097             |
| 688  | –5904                 | –4557            | –4617            | –4617            |
| 1064 | 4476                  | 4314             | 4250             | 4250             |
| 1067 | –7903                 | –6363            | –6453            | –6453            |
|      |                       | Dynamic Analysis |                  |                  |                  |
|      | Mean (kN)              |                  |                  |                  |                  |
| 571  | –341                  |                  |                  |                  |                  |
| 572  | 347                   |                  |                  |                  |                  |
| 686  | 2553                  |                  |                  |                  |                  |
| 688  | –4115                 |                  |                  |                  |                  |
| 1064 | 3075                  |                  |                  |                  |                  |
| 1067 | –5986                 |                  |                  |                  |                  |
Fig. 9. Displacements in the direction normal to the TL at top (Node 19 – left) and bottom (Node 148 – right) of tower GTS 01, due to TS wind load, for three support types considered.

Table 8. Axial forces in some members of the tower GTS 01 due to TS wind loads

| Node   | Static Analysis (kN) | Dynamic Analysis |
|--------|----------------------|------------------|
|        | Rigid Foundation    | Design Foundation |
|        | Peak (kN)            | Peak (kN)        |
| 571    | –188                 | –115             |
| 572    | 190                  | 126              |
| 686    | 1277                 | 427              |
| 688    | –2938                | –2521            |
| 1064   | 1515                 | 527              |
| 1067   | –4933                | –5527            |
|        | Floating Foundation  |                  |
|        | Peak (kN)            |                  |
| 571    | –128                 |                  |
| 572    | 138                  |                  |
| 686    | 728                  |                  |
| 688    | –2661                |                  |
| 1064   | 963                  |                  |
| 1067   | –5579                |                  |

Conclusions

This paper describes the dynamic analysis of a four spans section of a TL crossing over the Trombetas River, in the Amazon region, which includes two 190 m-high TL steel towers, subjected to EPS and TS wind loads as well as to cable rupture. The entire TL segment was modelled, including the two highest towers and all other elements: foundations, conductors, shield cables and insulator strings. The computed dynamic response of tower GTS 01 was then compared with the static response obtained by standard codes procedures.

In the cable rupture analysis, since the latter aim at determining forces and displacements after the rupture has occurred, the close correlation of the final state in the dynamic analysis with the standard static predictions constitutes strong evidence of the robustness of the static equivalent model. On the other hand, dynamic amplification may approach 50% for main members and significantly exceed that value in case of diagonal members. It is thus concluded that dynamic amplification effects are not negligible in TL crossings and may cause failure of the towers if not properly taken into account for design purposes.

For EPS wind loads, the peak values provided by dynamic analysis, were around 20% lower than those obtained in the static analysis, indicating that the static equivalent procedure adopted by TL design codes is appropriate even for structures outside the range of its scope. Part of it could be explained due to the adoption of a gust coefficient corresponding to 800 m span, for the determination of the forces acting on cables in the static analysis, which tends to be conservative, since spatial correlation has considerable influence on the forces along cables and towers.

On the TS wind load analysis, it was verified a great variability on the axial forces due to the static and dynamic analysis. This may be explained by the fact that engineers usually adopt a very simple model based on practical experience, even in TL structures located in regions that are prone to the occurrence of squall-lines, which explains some accidents that happened to tower structures. Thus, further research in this subject is highly needed and it is currently in progress by the authors.

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