Research Article

Design of Attitude Control System for UAV Based on Feedback Linearization and Adaptive Control

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Attitude dynamic model of unmanned aerial vehicles (UAVs) is multi-input multi-output (MIMO), strong coupling, and nonlinear. Model uncertainties and external gust disturbances should be considered during designing the attitude control system for UAVs. In this paper, feedback linearization and model reference adaptive control (MRAC) are integrated to design the attitude control system for a fixed wing UAV. First of all, the complicated attitude dynamic model is decoupled into three single-input single-output (SISO) channels by input-output feedback linearization. Secondly, the reference models are determined, respectively, according to the performance indexes of each channel. Subsequently, the adaptive control law is obtained using MRAC theory. In order to demonstrate the performance of attitude control system, the adaptive control law and the proportional-integral-derivative (PID) control law are, respectively, used in the coupling nonlinear simulation model. Simulation results indicate that the system performance indexes including maximum overshoot, settling time (2% error range), and rise time obtained by MRAC are better than those by PID. Moreover, MRAC system has stronger robustness with respect to the model uncertainties and gust disturbance.

1. Introduction

The applications of unmanned aerial vehicles (UAVs) have dramatically extended in both military and civilian fields around the world in the last twenty years. UAVs are used currently in all branches of military ranging from investigation, monitoring, intelligence gathering, and battlefield damage assessment to force support. Civilian applications include remote sensing, transport, exploration, and scientific research. Because of the diversified mission in the aviation field, UAVs play a more and more important role.

The attitude dynamic model of UAVs is nonlinear and three attitude channels are coupled. Nonlinearity and coupling dynamic characteristics will become more disturbing under flight condition with big angle of attack so that more obstacles will be brought during the design of attitude control system for UAVs.

In recent years, some advanced control theories are gradually introduced into the design of attitude control system for UAVs with the development of computer technology [1–17]. In [1], the output feedback control method was used to design the attitude control system for UAV. An observer was designed to estimate the states online. In [2], in order to provide a basis for comparison with more sophisticated nonlinear designs, a PID controller with feedforward gravity compensation was derived using a small helicopter model and tested experimentally. In [3], a roll-channel fractional order proportional integral (PI^α) flight controller for a small fixed-wing UAV was designed and time domain system identification methods are used to obtain the roll-channel model. In [4], a second-order sliding structure with a second-order sliding mode including a high-order sliding mode observer for the estimation of the uncertain sliding surfaces was selected to develop an integrated guidance and autopilot scheme. In [5], the fuzzy sliding mode control based on the multiobjective genetic algorithm was proposed to design the altitude autopilot of UAV. In [6], the attitude tracking system was designed for a small quad rotor UAV through model...
reference adaptive control method. In [7], to control the position of UAV in three dimensions, altitude and longitude-latitude location, an adaptive neuro-fuzzy inference system was developed by adjusting the pitch angle, the roll angle, and the throttle position. In [8], an $L_1$ adaptive controller as autopilot inner loop controller candidate was designed and tested based on piecewise constant adaptive laws. Navigation outer loop parameters are regulated via PID control. The main contribution of this study is to demonstrate that the proposed control design can stabilize the nonlinear system. In [9], an altitude hold mode autopilot for UAV which is nonminimum phase was designed by combination of classic controller as the principal section of autopilot and the fuzzy logic controller to increase the robustness. The multiobjective genetic algorithm is used to mechanize the optimal determination of fuzzy logic controller parameters based on an efficient cost function that comprises undershoot, overshoot, rise time, settling time, steady state error, and stability. In [10, 11], a novel intelligent control strategy based on a brain emotional learning (BEL) algorithm was investigated in the application of attitude control of UAV. Time-delay phenomenon and sensor saturation are very common in practical engineering control and is frequently a source of instability and performance deterioration [18–20]. Taking time delay into consideration, the influence of time delay on the stability of the low-altitude and low-speed small Unmanned Aircraft Systems (UAS) flight control system had been analyzed [21]. There are still some other methods [22, 23]; no details will be listed here.

The design method based on characteristic points can obtain multiple control gains. To realize the gain scheduling, look-up table is one common way applied in practice. Actually, the gains between characteristic points do not exist but can be obtained only by interpolation method. It is hard to ensure the control satisfaction between characteristic points [24]. As for sliding control method, it is difficult to select the intermediate control variables for partial derivatives of a sliding surface. As for the intelligent control method, though the stability of control system can be verified, the algorithm is too complicated and it is unable to guarantee the control timelyness in application. In a word, the attitude control system design of UAVs is an annoying task. Multi-input multioutput (MIMO), nonlinearity, and coupling dynamic characteristics will cause more difficulties during the design of attitude control system. In addition, model uncertainties and external disturbances should be taken into account also.

Feedback linearization method can be used to realize linearization and decoupling of a complicated model. Model reference adaptive control (MRAC) system can suppress model uncertainties and has stronger robustness with respect to gust disturbances. With these considerations, feedback linearization method and MRAC method are integrated to design the attitude control system for a fixed wing UAV. As far as we know, there is only few research in which the above two methods are integrated. Moreover, this design principle is simple and the control performance is superior. The maximum overshoot, settling time, and rise time of the system can satisfy the desired indexes, and the system has strong robustness with respect to the uncertainties of aerodynamic parameters variation and gust disturbance.

This paper is organized as follows. Firstly, the complicated attitude dynamic model is decoupled into three independent channels by feedback linearization method; secondly, according to the control performance indexes of each attitude channel, such as maximum overshoot, settling time, and rise time, reference model is established and MRAC is used to design the adaptive control law; thirdly, the control performance comparison between MRAC and PID control is given; finally, conclusions are presented.

2. Attitude Dynamic Model of UAV

The origin $O$ of UAV body coordinate system $Ox_b,y_b,z_b$ is located at mass center. Axis $x_b$ coincides with aircraft longitudinal axis and points to the nose. Axis $y_b$ is perpendicular to aircraft longitudinal symmetric plane and points to the right side. Axis $z_b$ is defined following the right-hand rule. The dynamic models of three attitude channels including roll, pitch, and yaw are given as follows:

$$\dot{\phi} = p + \tan \theta (r \cos \phi + q \sin \phi),$$

$$\dot{\theta} = q \cos \phi - r \sin \phi,$$

$$\dot{\psi} = \frac{r \cos \phi + q \sin \phi}{\cos \theta},$$

$$\dot{p} = \left[ I_z L + I_{xz} (N + (I_x + I_z - I_y) p q) \right] \times \left( I_x I_z - I^2_{xz} \right)^{-1},$$

$$\dot{q} = \frac{M - pr (I_x - I_z) - I_{zx} (p^2 - r^2)}{I_y},$$

$$\dot{r} = \left[ I_{xz} L + I_{x} N + pq \left( I_{zz}^2 + I_{zx} I_{xz} + qr I_{xz} (I_y - I_x - I_z) \right) \right] \times \left( I_x I_z - I^2_{xz} \right)^{-1}.$$
\[ N = \frac{1}{2} \rho V^2 S_w \left( C_{n\beta \beta} + C_{n\beta} \dot{\beta} + C_{n\delta a} \delta_a \right) + C_{n\delta r} \delta_r + C_{n r} r + C_{n p} p, \]  
(7)

where \( \rho \) is the atmosphere density relative to height; \( V \) is airspeed of UAV; \( S_w, b \), and \( c \) represent wing area, span, and mean aerodynamic chord, respectively; \( \beta \) and \( \alpha \) represent sideslip angle and attack angle, respectively; \( \delta_a, \delta_e, \) and \( \delta_r \) represent the deflection angle of aileron, elevator, and rudder, respectively; \( C \) represents the aerodynamic moment coefficient and its subscript is composed of corresponding moments and variables, where \( C_{n\delta} \) represents the aerodynamic moment coefficient at 0° attack angle.

It is obvious that attitude dynamic model of UAV is nonlinear and there are strong coupling among three channels. Substitute the aerodynamic moment equations (7) into attitude dynamic model equations (4)–(6) and rewrite them as follows:

\[ x = f(x) + gu, \]
\[ y = h(x), \]
(8)

where

\[ x = [p \ \ q \ \ r \ \ \phi \ \ \theta \ \ \psi]^T, \]
\[ u = [\delta_a \ \ \delta_e \ \ \delta_r]^T, \]
\[ h(x) = [\phi \ \ \theta \ \ \psi]^T, \]
\[ f(x) = [f_1 \ f_2 \ f_3 \ f_4 \ f_5 \ f_6]^T, \]
\[ f_1 = [2 pq I_{z z} (I_x + I_z - I_y) + 2 qr (I_y - I_z - I_x^2)^2 + 2 qr (I_y - I_z - I_x)^2] + 2 I_x \beta^2 S_w b (C_{l\beta \beta} + C_{l\beta} \dot{\beta} + C_{l r} r + C_{l p} p) + I_{z z} \rho V^2 S_w b (C_{n\beta \beta} + C_{n\beta} \dot{\beta} + C_{n r} r + C_{n p} p)] \times (2 I_x I_z - 2 I_{z z})^{-1}, \]
\[ f_2 = \left[ -2 pr (I_x - I_y) - 2 (p^2 + r^2) I_{z z} + \rho V^2 S_w c (C_{n\alpha \alpha} + C_{n\alpha} \dot{\alpha} + C_{n\alpha \theta} + C_{n\alpha \phi}) \right] \times (2 I_y)^{-1}, \]
\[ f_3 = [2 pq (I_{x z} + I_{y z} - I_{z x}) + 2 qr (I_y - I_z - I_x)] + 2 I_x \beta^2 S_w b (C_{l\beta \beta} + C_{l\beta} \dot{\beta} + C_{l r} r + C_{l p} p) + I_{x x} \rho V^2 S_w b (C_{n\beta \beta} + C_{n\beta} \dot{\beta} + C_{n r} r + C_{n p} p)] \times (2 I_x I_z - 2 I_{z z})^{-1}, \]
\[ f_4 = p + q \sin \phi \tan \theta + r \cos \phi \tan \theta, \]
\[ f_5 = q \cos \phi - r \sin \phi, \]
\[ f_6 = q \sin \phi \sec \theta + r \cos \phi \sec \theta, \]  
(9)

3. Linearization and Decoupling of Model

In order to obtain the SISO form of the three attitude channels, feedback linearization method is used in this paper. As for nonlinear equations (8), we can obtain the following equation according to Lie derivative:

\[ u = \frac{1}{L_y L_{\phi}} h \left( -L_{y} \dot{h} + v \right), \]
(10)

where \( L_y h \) and \( L_y L_{\phi} h \) represent Lie derivative of \( h \) with respect to \( f \) and \( g \). Superscript \( n \) represents the derivative order. The new input \( v \) is \( v = [v_1 \ v_2 \ v_3]^T \).

Let

\[ Q = L_y L_{y}^n h = [Q_1 \ Q_2 \ Q_3]^T, \]

\[ P = L_y^n h = [P_1 \ P_2 \ P_3]^T. \]

We can get

\[ Q_1^T = \frac{1}{2} \rho V^2 S_w b \left[ \begin{array}{c}
\cos \phi \tan \theta (I_{z z} C_{\delta a} + I_x C_{\delta a}) + I_x C_{\delta a} + I_{z z} C_{n \delta a} \\
I_x I_z - I_{z z}^2 \\
c \sin \phi \tan \theta C_{n \delta e} \\
\sin \phi \tan \theta (I_{z z} C_{\delta e} + I_x C_{\delta e}) + I_x C_{\delta e} + I_{z z} C_{n \delta e} \\
I_x I_z - I_{z z}^2 \\
\cos \phi \tan \theta (I_{z z} C_{\delta r} + I_x C_{\delta r}) + I_x C_{\delta r} + I_{z z} C_{n \delta r} \\
I_x I_z - I_{z z}^2 \\
\end{array} \right]. \]

\[ Q_2^T = \frac{1}{2} \rho V^2 S_w b \left[ \begin{array}{c}
\sin \phi (I_{z z} C_{\delta a} + I_x C_{\delta a}) \\
I_x I_z - I_{z z}^2 \\
c \cos \phi C_{n \delta e} \\
\sin \phi (I_{z z} C_{\delta e} + I_x C_{\delta e}) \\
I_x I_z - I_{z z}^2 \\
\end{array} \right]. \]
Expressions of $P_1, P_2, \text{ and } P_3$ are more complicated and can be obtained by referring to the literature [17].

The system relative order is $n_1 + n_2 + n_3 = 6$ according to Lie derivative. The input and output linearization of MIMO nonlinear system is realized by the above derivation. There is no internal dynamic state in new system that asymptotic stability and tracking control can be realized. The feedback linearization diagram is shown as Figure 1.

It is visible that the nonlinear dynamic model is transformed into one equivalent linear model with state variables as follows:

$$\bar{x} = \begin{bmatrix} \phi & \dot{\phi} & \theta & \dot{\theta} & \psi & \dot{\psi} \end{bmatrix}^T.$$ (13)

State equations are rewritten in matrix form:

$$\begin{bmatrix} \dot{\phi} \\ \dot{\theta} \\ \dot{\psi} \end{bmatrix} = \begin{bmatrix} 0 & 0 & 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 & 0 & 0 \end{bmatrix} \begin{bmatrix} \phi \\ \theta \\ \psi \end{bmatrix} + \begin{bmatrix} 0 & 0 & 0 \\ 0 & 0 & 0 \\ 0 & 0 & 0 \end{bmatrix} \begin{bmatrix} v_1 \\ v_2 \\ v_3 \end{bmatrix}.$$ (14)

Remark 1. Although new errors are not produced in the process of decoupling the dynamic equations by feedback linearization, it is impossible to describe all dynamic characteristics of attitude moment precisely, the reason for this is modeling errors and model uncertainties cannot be eliminated in dynamic model.

4. Control Laws Design

Aiming at the above three independent two-order systems and according to the performance indexes of attitude response, MRAC is used in this paper to design the attitude control law.

4.1. MRAC Law Design. The differential equation for each channel in (14) can be written as

$$\ddot{y}_p = \Pi_i.$$ (15)

The adaptive control law is designed by taking the pitch channel as an example. Suppose the form of control law is

$$\Pi_i = kr + f_0 y_p + f_1 \dot{y}_p,$$ (16)

where $k$ is the feedforward gain, $r$ is the reference input, $f_0$ and $f_1$ are feedback gains. The approach of MRAC is to adjust parameters $k, f_0, \text{ and } f_1$ so that the system output can track the output of the reference model.

Select the same order of reference model as that of pitch channel model and the differential equation is

$$\ddot{y}_m + a_1 \dot{y}_m + a_0 y_m = br.$$ (17)

Coefficients $a_0, a_1, \text{ and } b$ should be determined according to control performance indexes of pitch channel.

Consider the standard form of two-order system:

$$\phi(s) = \frac{\omega_n^2}{s^2 + 2\xi \omega_n s + \omega_n^2}. $$ (18)

We can get

$$t_s = \frac{3.5}{\xi \omega_n},$$

$$\sigma\% = \frac{e^{-\pi \xi}}{\sqrt{1 - \xi^2}} \times 100\%,$$ (19)

$$t_t = \frac{\pi - \beta}{\omega_d},$$

$$\omega_d = \omega_n \sqrt{1 - \xi^2},$$

$$\xi = \cos \beta,$$

where $\xi$ denotes damping ratio; $\omega_n$ and $\omega_d$ denote natural oscillation angular frequency and damping oscillation angular frequency, respectively; $t_s$ and $t_t$ denote settling time and rise time, respectively; $\sigma\%$ denotes overshoot; set $t_p = 5 \text{s}$, $\sigma = 2\%$; it is easy to get $\xi = 0.7797, \omega_n = 1.0035 \text{rad/s}$.

Substitute (16) into (15); the adjustable differential equation can be obtained:

$$\ddot{y}_p - f_1 \dot{y}_p - f_0 y_p = kr.$$ (20)

Define $e = y_m - y_p$ as the generalized error and according to (17) and (20), the generalized error equation is

$$\ddot{e} + a_1 \dot{e} + a_0 e = - (a_1 + f_1) \dot{y}_p$$

$$- (a_0 + f_0) y_p + (b - k) r.$$ (21)

Let

$$\delta_1 = -a_1 - f_1, \quad \delta_0 = -a_0 - f_0, \quad \sigma = b - k.$$ (22)
Equation (21) can be rewritten as
\[
\ddot{e} + a_1 \dot{e} + a_0 e = \delta_1 \dot{y}_p + \delta_0 y_p + \sigma r. \tag{23}
\]

Define parameter error vector $\theta$ and generalized error vector $e$, respectively, as
\[
\theta = [\delta_0, \delta_1, \sigma]^T, \quad e = [e, \dot{e}]^T. \tag{24}
\]

Then error expression equation (23) can be written in matrix-vector form:
\[
\dot{e} = \Delta_a e + \Delta_b,
\]
where
\[
\Delta_a = \begin{bmatrix} 0 & 1 \\ -a_0 & -a_1 \end{bmatrix}, \quad \Delta_b = \begin{bmatrix} 0 \\ 0 \sigma \end{bmatrix}.
\]

Select the Lyapunov function:
\[
\dot{V} = \frac{1}{2} (e^T P e + \theta^T \Gamma \theta), \tag{27}
\]
where $P$ is a $2 \times 2$ positive definite symmetric matrix, $\Gamma$ is a 3-dimensional positive definite diagonal matrix:
\[
\Gamma = \text{diag}(\lambda_0, \lambda_1, \mu). \tag{28}
\]

Let $P = \begin{bmatrix} p_{11} & p_{12} \\ p_{21} & p_{22} \end{bmatrix}$ and $p_{12} = p_{21}$; we can get the derivative of $\dot{V}$ with respect to time:
\[
\dot{V} = \frac{1}{2} e^T (PA + A^T P) e + \delta_0 \left[ \lambda_0 \dot{\delta}_0 + (e p_{12} + \dot{e} p_{22}) y_p \right] + \delta_1 \left( \lambda_1 \dot{\delta}_1 + (e p_{12} + \dot{e} p_{22}) \dot{y}_p \right) + \sigma \left[ \mu \dot{\sigma} + (e p_{12} + \dot{e} p_{22}) r \right]. \tag{29}
\]

Select positive definite symmetric matrix $Q$ and make
\[
PA + A^T P = -Q. \tag{30}
\]

Select the adaptive laws:
\[
\dot{\delta}_0 = -\frac{(e p_{12} + \dot{e} p_{22}) y_p}{\lambda_0},
\]
\[
\dot{\delta}_1 = -\frac{(e p_{12} + \dot{e} p_{22}) \dot{y}_p}{\lambda_1},
\]
\[
\dot{\sigma} = -\frac{(e p_{12} + \dot{e} p_{22}) r}{\mu}. \tag{31}
\]

Obviously, $\dot{V}$ is negative definite; therefore the closed-loop system is asymptotically stable. Calculate the derivative of each equation in (24) with respect to time with considering

![Figure 2: MRAC system diagram.](image-url)

(31), the adaptive laws of feedback gains $f_0, f_1$ and feedforward gain $k$ can be obtained:
\[
f_0 = \int_0^t \frac{(e p_{12} + \dot{e} p_{22}) y_p}{\lambda_0} d\tau + f_0(0),
\]
\[
f_1 = \int_0^t \frac{(e p_{12} + \dot{e} p_{22}) \dot{y}_p}{\lambda_1} d\tau + f_1(0), \tag{32}
\]
\[
k = \int_0^t \frac{(e p_{12} + \dot{e} p_{22}) r}{\mu} d\tau + k(0).
\]

The MRAC laws of roll and yaw channels can be designed in the same way. However, different reference model for each channel is selected based on the performance index of respective channel. The MRAC system diagram of attitude control system is shown as Figure 2.

**Remark 2.** The control performance indexes of each channel determine the form of the reference model. Although model uncertainties and gust disturbances exist in the actual system, only if the output of system can track the output of reference model, the performance can be guaranteed. Therefore, MRAC system has strong robustness with respect to the model uncertainties and external disturbances.

### 4.2 PID Control Law Design

For the simplified model of pitch channel, PID control law can be obtained. The expression of control law is
\[
\tau_2 = k_1 \bar{e} + k_2 \int_0^t \bar{e} dt + k_3 \bar{\tau}, \tag{33}
\]

where $\bar{e}$ is the error between reference input and system output; Gains $k_1, k_2,$ and $k_3$ can be determined by root locus according to the control performance indexes of pitch channel.

In the same way, the control laws of roll and yaw channels can be designed by PID method and the control diagram of attitude control system for UAV is shown as Figure 3.
5. Mathematics Simulations

In order to verify the performance of attitude control system for UAV, the PID control law and the MRAC law are applied to the coupling and nonlinear attitude dynamic model of UAV, respectively.

The reference motion states are as follows:

\[ V = 1360 \text{ m/s}, \quad H = 30 \text{ Km}. \] (34)

The initial conditions of simulation are

\[ \phi = \theta = \psi = 0^\circ, \quad p = q = r = 0 \text{ rad/s}. \] (35)

The allowed maximum deflection angles of three actuators in simulation are:

\[-5^\circ \leq \delta_a \leq 5^\circ, \quad -15^\circ \leq \delta_e \leq 15^\circ,\]
\[-10^\circ \leq \delta_r \leq 10^\circ. \] (36)

The reference inputs of three attitude channels are 10° step signals. The control performance of attitude control system will be verified through below three cases: Case 1, there is no uncertainty in the system; Case 2, aerodynamic parameters vary within the range of 0~30%; Case 3, gust disturbance is considered as the external disturbance.

Figures 4, 5, and 6 show the output responses of roll, pitch, and yaw channels for the above three cases, respectively, where solid line represents the attitude angle under MRAC law and dashed line represents the attitude angle under PID control law.

The performance indexes of attitude control system under all cases are listed in Table 1.

We can see from above that there is almost no difference for attitude angle response under MRAC laws for all cases shown in Figures 4 to 6. In other words, the control performance indexes still can be satisfied even with parameter perturbation and external disturbance. Adjust PID control law parameters and make the control performance under Case 1 to satisfy the design index. However, the maximum overshoot and settling time of output response will increase while the same PID parameters are applied to Case 2 and Case 3. The control performance becomes worse.

6. Conclusions

The design of attitude control system for UAV is presented by integrating feedback linearization and MRAC methods. The complicated coupling nonlinear dynamic model was decoupled into three independent SISO systems by feedback linearization. Then, the control law of each channel was designed using MRAC method and PID method, respectively. The mathematics simulation results indicate that the attitude control system can achieve better control performance including maximum overshoot, settling time, and rise time under MRAC law than that under PID control law. In addition, a stronger robustness with respect to aerodynamic parameter perturbation and gust disturbance has been obtained in MRAC system.
Figure 6: Output response of yaw channel.

Table 1: Comparison of control performance indexes between MRAC and PID control.

| Indexes   | Case 1 | Case 2 | Case 3 |
|-----------|--------|--------|--------|
| Roll channel |        |        |        |
| $\delta_{\text{max}}$ | 7.4%  | 11.8%  | 19.2%  |
| $t_s$ (s) | 7.21   | 7.77   | 12.71  |
| $t_r$ (s) | 3.13   | 3.14   | 3.34   |
| $\delta_{\text{max}}$ | 5.2%  | 5.3%  | 5.3%  |
| $t_s$ (s) | 4.86   | 4.87   | 4.88   |
| $t_r$ (s) | 2.58   | 2.58   | 2.59   |
| Pitch channel |        |        |        |
| $\delta_{\text{max}}$ | 5.9%  | 7.0%  | 7.2%  |
| $t_s$ (s) | 4.62   | 5.35   | 7.46   |
| $t_r$ (s) | 2.27   | 2.45   | 3.33   |
| $\delta_{\text{max}}$ | 5.9%  | 6.0%  | 6.7%  |
| $t_s$ (s) | 3.57   | 3.58   | 3.66   |
| $t_r$ (s) | 1.85   | 1.85   | 1.87   |
| Yaw channel |        |        |        |
| $\delta_{\text{max}}$ | 2.8%  | 3.7%  | 5.4%  |
| $t_s$ (s) | 6.26   | 8.18   | 10.74  |
| $t_r$ (s) | 4.17   | 4.61   | 5.04   |
| $\delta_{\text{max}}$ | 2.1%  | 2.1%  | 2.1%  |
| $t_s$ (s) | 5.27   | 5.32   | 5.35   |
| $t_r$ (s) | 3.90   | 3.89   | 3.88   |

Conflict of Interests

The authors declare that there is no conflict of interests regarding the publication of this paper.

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