Rotational and pulsational variability in the TESS light curve of HD 27463

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ABSTRACT

The new photometric data on pulsating Ap star HD 27463 obtained recently with the Transiting Exoplanet Survey Satellite (TESS) are analysed to search for variability. Our analysis shows that HD 27463 exhibits two types of photometric variability. The low frequency variability with the period $P = 2.834274 \pm 0.000008$ d can be explained in terms of axial stellar rotation assuming the oblique magnetic rotator model and presence of surface abundance/brightness spots, while the detected high-frequency variations are characteristics of $\delta$ Scuti pulsations. From the analysis of Balmer line profiles visible in two FEROS spectra of HD 27463 we have derived its effective temperature and surface gravity, finding values that are close to those published for this star in the TESS Input Catalogue (TIC). Knowing the rotation period and the $v\sin i$ value estimated from the fitting of Balmer line profiles we found that the rotational axis is inclined to the line of sight with an angle of $i = 33 \pm 8$ deg. Our best-fitting model of the observed pulsation modes results in an overshoot parameter value $f_{ov} = 0.014$ and values of global stellar parameters that are in good agreement with the data reported in the TIC and with the data derived from fitting Balmer line profiles. This model indicates an age of $5.0 \pm 0.4 \times 10^8$ yrs, which corresponds to a core hydrogen fraction of 0.33.

Key words: stars: magnetic field – stars: rotation – stars: oscillations – stars: fundamental parameters – stars: chemically peculiar – stars: individual: HD 27463

1 INTRODUCTION

Ever since a strong peculiarity was discovered in the Si \textsc{ii} doublet of the archetypal star \textsc{ii} 2 CVn (Maury & Pickering 1897), chemically peculiar stars have been the subject of numerous studies. In particular, Ap stars (classified as ‘CP2’ in contrast to Am, HgMn or He stars) are known to exhibit periodic brightness variations generally understood to be associated with rotation taking into account that in these stars, strong magnetic fields (Babcock 1958) lead to the creation of surface abundance patches.

A subset of Ap stars lies within the $\delta$ Scuti instability strip. Accordingly, high-frequency pulsations have been discovered in a number of Ap stars, starting with Przybylski’s star (HD 101065; Kurtz 1978). Dedicated surveys have revealed a few rapidly oscillating Ap (or ‘roAp’) stars, but were limited to relatively high-amplitude pulsations since they were carried out using ground-based observations. However, ground-based surveys and the advent of high-precision spaced-based photometry have enabled the discovery and detailed study of new Ap pulsators (e.g. HD 24355; Holdsworth et al. 2014, 2016) and the revisiting of known pulsators (e.g. HD 137949; Kurtz 1982; Holdsworth et al. 2018).

The Transiting Exoplanet Survey Satellite (TESS) was launched by NASA on 2018 April 18 with the purpose of detecting exoplanets using the transit method (Ricker et al. 2015). Over the course of its 2-yr nominal mission, it will cover most of the...
sky in 26 sectors with its four wide-field cameras, each covering 24 × 24 deg. Each sector is observed for ∼27 d, and sectors in each ecliptic hemisphere overlap near the poles. Therefore stars observed by TESS will have temporal baselines between 27 d and about a year. All fields are observed with a 30-minute cadence (in full-frame images, or FFIs) but a subset (> 200,000) of stars has been selected for short-cadence (2 min) observations, forming the candidate target list (CTL; Stassun et al. 2018, 2019). With such a temporal baseline and cadence, TESS not only represents a formidable asset for exoplanetary detection, but can also be leveraged very profitably for asteroseismology (e.g. Campante et al. 2016). As such, this mission represents a tremendous opportunity to not only significantly increase the sample size of known pulsating Ap stars (see e.g. Cunha et al. 2019), but also, given the exquisite data quality, to perform a detailed characterization of specific objects of interest.

The chemically peculiar (CP) star HD 27463 (TT Ret, HIP 19917, Renson 7050, TIC 38586082) is known as an α2 CVn type variable with spectral type ApEur(Cr)Sr (Houk & Cowley 1975). Photometric variability of this star with a period of P = 2.835 days has been reported in the Hipparcos and Tycho catalogues (ESA 1997) and confirmed by Renson & Catalano (2001). HD 27463 is a long period (∼370 yr) visual binary with a separation of ∼0.3 arcsec and a magnitude difference between the Ap primary and the secondary of about 0.43 in the V band (e.g. Bailer & Petit 1989 and references therein) and 0.9 in the Strömgren y band (Hartkopf et al. 2012). Taking into account the observed small angular separation between the two components, they both contribute to the flux detected by TESS.

Previous surveys designed to detect high-frequency pulsations did not yield any detection in this star (Martinez & Kurtz 1994; Joshi et al. 2016). However, using TESS data, Cunha et al. (2019) and Sikora et al. (2019) have classified HD 27463 as a suspected new δ Scuti variable. Therefore, in this study, we set out to perform a more involved investigation of this star’s TESS photometry, in conjunction with high-resolution spectroscopy. This study is carried out as part of the MOBSTER project, an analysis of magnetic O, B and A stars using TESS light curves (David-Uraz et al. 2019), and of the VeSEiKA project, a search for CP stars with vertical stratification of elemental abundance (Khalack & LeBlanc 2015a,b).

The photometric and spectral observations and the respective reduction procedures are described in Section 2. The use of automatic software to analyse the light curves is considered in Section 3. Comparison of the fundamental stellar parameters derived from the analysis of Balmer line profiles and from the simulation of stellar pulsations are shown in Section 4. The discussion follows in Section 5.

2 OBSERVATIONS AND DATA REDUCTION

HD 27463 has been observed by TESS in Sectors 1–5 in the frame of the TESS guest program Rotationally-Induced Variability Of Chemically Peculiar (CP) Stars (Ricker & Vandensype 2018). The TESS data products have been reduced employing the SPOC pipeline (Jenkins et al. 2016), which is based on the Kepler Science Processing Pipeline. The light curves and the associated data listed in the TESS Input Catalogue (TIC1) have been downloaded via the Mikulski Archive for Space Telescopes (MAST2) and are publicly available. The extracted time series of flux measurements taken at different Barycentric Julian Dates (BJD) were transformed to units of stellar magnitude. The light curves have been normalised to a mean of zero (see Figs. 1, 2).

To accurately determine the rotation period and the pulsation mode frequencies of HD 27463, we further detrended the 2-min TESS light curve following the methodology of Bowman et al. (2018). We fitted a periodic rotational modulation model comprising multiple harmonics of the rotation frequency, vrot = 0.352824 ± 0.000001 d−1, to the light curve using non-linear least-squares. We subsequently subtracted this preliminary fit and modelled the residuals using a locally weighted scatterplot smoothing (LoWeSS) filter (Cleveland 1979; Seabold & Perktold 2010). To create our final de-trended light curve, we subtracted the modelled residuals from the original light curve. This ensures that a high-quality light curve is used for the determination of a rotation period and for the extraction of pulsation mode frequencies, since the long-term trends and instrumental systematics have been removed.

HD 27463 was observed twice in 2008 with the FEROS spectrograph installed on the 2.2-m Max Planck Gesellschaft-European Southern Observatory (MPG/ESO) telescope in La Silla. The FEROS spectrograph provides high-resolution spectra with R ~ 48000 in the spectral region from 3600 to 9200 Å (Kaufer et al. 1999). Two available spectra of HD 27463 were reduced with the ESO automatic reduction pipeline employing the barycentric velocity correction. The spectra are public and have been downloaded from the ESO archive3. To carry out analysis of Balmer line profiles we have used non-normalized spectra (see Section 4) and therefore no additional reduction procedure has been applied to the downloaded data.

3 PHOTOMETRIC ANALYSIS

To carry out the analysis of TESS light curve we have developed an automatic software (several scripts and codes including the code period04) that treats time series, performs periodic analysis, and extracts additional data for a studied star from the public astronomical databases (TIC, SIMBAD, GALAH). The software creates images and a list of identified periodicities, and stores all the information in a final report.

The code period04 (version 1.2.9) developed by Lenz & Breger (2005) has been specially designed to carry out a statistical analysis of large astronomical data sets with significant gaps and is a powerful tool for the identification and evaluation of periodic signals in long time series of stellar flux measurements. It has been recently modified by one of us (PL) to work in the batch mode such that it can be launched automatically from a script with a list of specified parameters. The significant peaks in the TESS light curve of HD 27463 have been extracted using the standard procedure of iterative pre-whitening and optimised using a multi-frequency least-squares fit procedure (Lenz & Breger 2005). This analysis yielded the detection of multiple frequencies with amplitudes having a significant signal-to-noise ratio. Significant peaks are defined as those with an amplitude larger than four times the level of noise remaining after pre-whitening the signal at each studied frequency.

Finally, the combined light curve was fitted taking into account all detected frequencies using the least-squares procedure

1 https://archive.stsci.edu/tess/tic_c1k.html
2 http://archive.stsci.edu/tess/all_products.html
3 http://archive.eso.org/wdb/wdb/adp/phase3_spectral/query

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lated to the stellar rotation (see Fig. 1). The observed long-term variability is re-
Figure 2. Part of the light curve obtained with TESS for HD 27463 over a time span of 1 day in Sector 1. The observed long-term variability is related to the stellar rotation (see Fig. 1). Stellar pulsations with frequencies expected from a δ Scuti variable and beating of close pulsation frequencies are clearly visible (see also the lower panel in Fig. 3).

Table 1. Characteristics of the periodic signals detected in the light curve of HD 27463 combined from the photometric measurements in the TESS sectors 1-5.

| Frequency d^{-1} | Amplitude mmag | Phase rad/2π | S/N | Modes n |
|------------------|----------------|--------------|-----|---------|
| ν_{rot} | 0.352824±0.000001 | 13.596±0.006 | 0.9359±0.0001 | 29.1 |
| 2ν_{rot} | 0.705639±0.000006 | 2.573±0.007 | 0.0895±0.0004 | 6.6 |
| 3ν_{rot} | 4.390982±0.000094 | 0.157±0.007 | 0.9347±0.0279 | 14.5 |
| 4ν_{rot} | 43.56363±0.000223 | 0.066±0.013 | 0.9012±0.0557 | 6.3 |
| 5ν_{rot} | 46.318147±0.000096 | 0.153±0.007 | 0.8000±0.0065 | 14.2 |
| 6ν_{rot} | 46.456655±0.000235 | 0.062±0.006 | 0.6032±0.0175 | 5.8 |
| 7ν_{rot} | 47.667165±0.000181 | 0.081±0.006 | 0.7426±0.0127 | 7.6 |
| 8ν_{rot} | 48.238558±0.000322 | 0.046±0.007 | 0.4482±0.0228 | 4.1 |
| 9ν_{rot} | 49.433689±0.000030 | 0.491±0.008 | 0.3517±0.0022 | 29.4 |
| 10ν_{rot} | 50.002473±0.000149 | 0.098±0.006 | 0.8432±0.0115 | 5.9 |
| 11ν_{rot} | 50.99734±0.000177 | 0.083±0.007 | 0.7933±0.0123 | 8.1 |
| 12ν_{rot} | 51.215952±0.000226 | 0.065±0.006 | 0.6727±0.0147 | 6.6 |
| 13ν_{rot} | 52.672629±0.000043 | 0.343±0.006 | 0.1683±0.0032 | 18.9 |
| 14ν_{rot} | 53.012605±0.000059 | 0.248±0.006 | 0.4302±0.0048 | 14.0 |
| 15ν_{rot} | 53.173059±0.000051 | 0.286±0.006 | 0.0920±0.0038 | 16.0 |
| 16ν_{rot} | 54.333293±0.000105 | 0.140±0.007 | 0.4882±0.0087 | 13.7 |
| 17ν_{rot} | 55.076921±0.000137 | 0.107±0.007 | 0.7837±0.0089 | 9.7 |
| 18ν_{rot} | 56.332132±0.000057 | 0.258±0.006 | 0.8862±0.0046 | 12.2 |
| 19ν_{rot} | 56.37529±0.000080 | 0.183±0.007 | 0.6321±0.0054 | 8.6 |
| 20ν_{rot} | 56.383938±0.000092 | 0.160±0.007 | 0.6144±0.0060 | 7.6 |
| 21ν_{rot} | 56.700889±0.000030 | 0.491±0.007 | 0.9475±0.0021 | 23.3 |
| 22ν_{rot} | 59.709581±0.000095 | 0.155±0.006 | 0.4958±0.0066 | 9.4 |
| 23ν_{rot} | 59.741600±0.000033 | 0.442±0.012 | 0.2427±0.0043 | 26.7 |
| 24ν_{rot} | 59.746637±0.000155 | 0.095±0.013 | 0.4808±0.0097 | 5.7 |
| 25ν_{rot} | 59.815711±0.000114 | 0.129±0.007 | 0.7050±0.0076 | 7.8 |
| 26ν_{rot} | 63.180209±0.000074 | 0.199±0.009 | 0.5228±0.0058 | 12.8 |
| 27ν_{rot} | 63.290656±0.000035 | 0.420±0.007 | 0.7557±0.0025 | 26.9 |
| 28ν_{rot} | 66.696167±0.000283 | 0.052±0.007 | 0.9038±0.0236 | 6.5 |
and the obtained frequencies, amplitudes and phases are shown respectively in the first, second and third columns of Table 1. The presented uncertainties are the largest ones obtained from the error matrix produced by the Levenberg-Marquardt non-linear least-squares fitting procedure and from a Monte Carlo simulation of a signal with the detected frequencies (Lenz & Breger 2005). They do not take into account the estimation errors reported for the flux measurements4. Using this approach, the uncorrelated uncertainties for the frequency and the phase have been derived (Montgomery & O’Donoghue 1999). The 4th column of Table 1 contains the signal-to-noise ratio calculated for each mode at the derived frequency based on the simulation of white noise using the dispersion of residual data left after the pre-whitening procedure (Lenz & Breger 2005). Meanwhile the 5th column of Table 1 specifies the radial order of ell = 0.

Table 2. Fundamental stellar parameters derived for HD 27463.

| Parameter | TIC, SIMBAD | This article | Pulsations |
|-----------|-------------|--------------|------------|
| T\(_\text{eff}\), K | 8700 ± 200\(^a\) | 8700 ± 100 | 8800 ± 100 |
| log\(g\) | 3.9 ± 0.3\(^a\) | 3.9 ± 0.2 | 3.89 ± 0.05 |
| [M/H] | 0.3 ± 0.1 | | |
| vsin\(i\), km s\(^{-1}\) | 27 ± 2 | | |
| \(v_\text{c}\), km s\(^{-1}\) | 26.5 ± 4.8\(^b\) | 22 ± 2\(^c\) | |
| \(L_\star\), \(L_\odot\) | 38.7 ± 10.8\(^a\) | | 42.5 ± 0.6 |
| \(R_\star\), \(R_\odot\) | 2.8 ± 0.4\(^a\) | | |
| \(M_\star\), \(M_\odot\) | 2.2 ± 0.4\(^a\) | | 2.4 ± 0.1 |
| \(v_\text{eq}\), km s\(^{-1}\) | 50 ± 7 | 47 ± 5 | |
| \(\iota\), deg | 33 ± 8 | | |
| age, 10\(^8\) yr | 5.0 ± 0.4 | | |

Notes: \(^a\)Stassun et al. (2018, 2019); \(^b\)Gontcharov (2006); \(^c\)in barycentric reference frame.

4 STUDY OF FUNDAMENTAL STELLAR PARAMETERS

Some fundamental stellar parameters of HD 27463 are taken from public astronomical databases (TIC, SIMBAD\(^5\), see Table 2). The effective temperatures reported in TIC has been derived using a new empirical relation between \(T\text{eff}\) and Gaia \(G\) - \(G\)\(_B\) colours, based on a set of 19,962 stars (Stassun et al. 2019). The stellar radius was computed using the Gaia parallaxes employing the standard expression derived from the Stefan-Boltzmann law. Based on the obtained values of effective temperature and stellar radius one can calculate the respective bolometric luminosity, \(L\text{bol}\). More details on the procedure of determination of the fundamental stellar parameters reported in TIC and its estimation errors can be found in Stassun et al. (2018, 2019).

Our estimates of the effective temperature, surface gravity, metallicity, radial velocity and vsin\(i\) have been derived by fitting the non-normalised profiles of Balmer lines (see Fig. 4). The derived value of vsin\(i\) = 22 ± 2 km s\(^{-1}\) has been confirmed by analysis of several Fe II line profiles visible in the two FEROS spectra of this star.

We assume here that the high-amplitude periodic variability in the light curve with the lowest frequency and the associated first harmonic (see Table 1) correspond to the stellar rotation. Therefore, we have used the estimate of the stellar radius from the TIC and the spectroscopic value of vsin\(i\) to derive the equatorial velocity, \(v\text{eq}\), and inclination angle, \(\iota\), of the rotational axis with respect to the line of sight (see Table 2).

4.1 Analysis of Balmer line profiles

The Balmer line profiles of HD 27463 have been fitted employing the FTSB2 code (Napiwotzki et al. 2004) to derive best fit parameters (\(T\text{eff}\), log\(g\) and metallicity) of the stellar atmosphere. This code uses grids of synthetic fluxes simulated with the code PHOENIX (Hauschildt et al. 1997) for different values of \(T\text{eff}\), log\(g\) and metallicity. During this procedure the code takes into account the level of nearby continuum and the intensity of some strong metallic lines that are present in the Balmer wings. The FTSB2 code does not perform an abundance analysis for each chemical element, but it rather results in the estimate of metallicity which serves as an av-

4 Consideration of the observation errors during the Fourier analysis reveals no significant changes in the derived estimates of frequency or amplitude of the detected signals. Meanwhile it leads to changes of the best fitted phase derived for the weak signals and increases by an order of magnitude the errors obtained from the Monte Carlo simulation for the estimates of frequency, amplitude and phase.
average measure of abundance of metals. For this reason, the spectral lines of most metals are not well fitted in Fig. 4.

Specifically, in this study we use the grids of synthetic fluxes\(^6\) simulated by Husser et al. (2013) for models with different metallicities and abundances of the α-elements (O, Ne, Mg, Si, S, Ar, Ca, and Ti) employing version 16\(^7\) of the PHOENIX code (Hauschildt & Baron 1999). These grids were computed with a spectral resolution of \(R = 500000\), which we reduced to \(R = 50000\) during their transformation to the format read by the FITS B code (Khalack et al. 2017). This latter resolution is close to the spectral resolution of FEROS (see Section 2).

Two available FEROS spectra of HD 27463 were analysed individually and resulted in similar values of effective temperature, gravity and metallicity. The best fit results obtained for one spectrum of HD 27463 that corresponds to the lowest \(\chi^2\) are shown in Table 2 and Fig. 4. This figure shows that the obtained best fit approximates the analysed Balmer line profiles relatively well even taking into account the contamination of Balmer wings by some metal lines. The fitting procedure has been carried out for different values of rotational velocity by including rotational broadening to the theoretical line profiles before the fitting of Balmer line profiles. In this case, the best fit value of \(v_{\sin i}\) is partially constrained by the metal lines present in the Balmer line wings. This approach allowed us to find the value that minimizes the discrepancy between the observed and simulated Balmer line profiles \(v_{\sin i} = 27 \pm 2\) km s\(^{-1}\) (see Table 2). The derived value of \(v_{\sin i}\) has been confirmed by analysis of several FeII line profiles visible in the two FEROS spectra of this star.

4.2 Analysis of stellar pulsations

We have calculated a grid of stellar structure and evolution models using MESA version 11554 (Paxton et al. 2011, 2013, 2015, 2018, 2019), including the effects of convective overshoot. Model masses ranged from 2.0 to 2.6 M\(_\odot\) in 0.1 M\(_\odot\) increments, with rotation rates on the ZAMS between 35 and 100 km s\(^{-1}\) taking into account the derived value of the equatorial velocity (see Table 2). We used a scaled solar metallicity of \(Z = 0.0244\) for all models to account for the inferred spectroscopic metallicity of the star. Inside the convective core, convective mixing is calculated using mixing length theory (Böhm-Vitense 1958) with a mixing length \(\alpha = 1.73\) (see e.g. Montalbán et al. 2004). Convective overshoot was included above the core using the diffusive exponential overshoot model described by Herwig (2000):

\[
D_{ov} = D_0 \exp \left( \frac{-2r}{f_{ov} H_P} \right),
\]

where \(D_0\) is the diffusion coefficient at the convective boundary, \(r\) is the radial distance from the core boundary, and \(H_P\) is the pressure scale height at the core boundary. The amount of overshoot is defined in terms of a fraction of the pressure scale height, \(\Delta r = \frac{r}{H_P}\). In our models, the amount of overshoot ranged from \(f_{ov} = 0\) to 0.04 in increments of 0.01. As many of our best fitting models were found to have overshoot between 0.01 and 0.03, this region of the grid was subsequently refined with steps of 0.002. The models were evolved from the pre-main sequence through the end of the main sequence. Detailed models were saved at least every 20 time steps, and more frequently during certain evolutionary phases. The time steps were variable, and determined by the requirement that the relative change in the stellar structure be less than \(10^{-4}\) from one time step to the next. The evolution tracks for the zero-overshoot models are shown in Fig. 5.

![Figure 5](image)

**Figure 5.** The main sequence evolution tracks for MESA models from 2.0 to 2.6 M\(_\odot\), all with zero convective overshoot and a metallicity derived from spectroscopy of HD 27463, are shown in colours that correspond to expected values of the large frequency separation. The evolution track for the best fitting model with \(M_\star = 2.4\) M\(_\odot\), \(f_{ov} = 0.014\) is shown in blue. The box indicates the \(1 - \sigma\) spectroscopic uncertainty box in the observed location.

![Figure 6](image)

**Figure 6.** The echelle diagram for the best fitting model and the observed frequencies, plotted using the inferred large frequency separation of \(\Delta \nu = 3.304\) d\(^{-1}\). The blue points show the model frequencies for \(\ell = 0\) (squares), \(\ell = 1\) (pluses), \(\ell = 2\) (circles), and \(\ell = 3\) (crosses), while the green open diamonds specify the data derived from observations. The model frequencies plotted here correspond to radial orders of \(n = 11 - 19\).

We used GYRE (Townsend & Teitler 2013) to calculate linear adiabatic pulsation frequencies for each main sequence model with

\(^6\) The grids of synthetic spectra are available at [http://phoenix.astro.physik.uni-goettingen.de/](http://phoenix.astro.physik.uni-goettingen.de/)

\(^7\) Compared to the previous version, version 16 of the PHOENIX code employs an updated list of atomic and molecular lines and uses a new equation of state to simulate a model of the stellar atmosphere and the synthetic emerging flux (Husser et al. 2013) of the PHOENIX code.
3.92 < \log T_{\text{eff}} < 3.95$, consistent with both the temperature from the TIC and that derived from the Balmer lines in this work. We calculated model frequencies between 40 and 70 d$^{-1}$ for $\ell = 0, 1, 2,$ and 3. Initially, we calculated frequencies for $m = 0$ modes only. Once we had determined a small set of models which were good fits to the observations, we calculated the $m \neq 0$ modes for comparison to the observed rotational splitting.

We used the 26 frequencies from Table 1, all of which are greater than 43 d$^{-1}$ and appear to correspond to stellar pulsation modes to determine the large frequency separation

$$\Delta \nu_0 = \langle \nu_{n+1,\ell} - \nu_{n,\ell} \rangle.$$  \hfill (2)

Given the spectroscopically-determined $T_{\text{eff}}$ value used as an input constraint to the modelling, the best fitting large frequency separation is approximately $3.3$ d$^{-1}$, which produces two clear ridges in the echelle diagram, as shown in Fig. 6. We then compared this derived large frequency separation to the values calculated for the models in our grid. The absolute value of the difference between the model and the observed large frequency separation is shown in Fig. 7. A number of models with masses between 2.2 and 2.5 M\(_\odot\) have reasonably good fits to the large frequency separation. For models with the smallest difference in the large frequency separation, the echelle diagrams were plotted. Not all models with a large frequency separation of $3.3$ d$^{-1}$ were good fits to the observed echelle diagram, so we also compared individual frequency fits, as shown in Fig. 8.

HD 27463 has been analysed recently by Bedding et al. (2019) who have performed mode identification using the echelle diagram and obtained a large frequency separation of $6.91$ d$^{-1}$, more than twice our result. Our models show that HD 27463 is an evolved $\delta$ Scuti star with an age of $5 \times 10^8$ yr and an effective temperature which is similar to the one found from the analysis of Balmer line profiles (see Table 2). In Fig. 5, the $1 - \sigma$ spectroscopic uncertainty box that specifies the observed location of HD 27463 on the HR diagram is constructed taking into account uncertainties provided by the TIC for the estimates of stellar luminosity and effective temperature (Stassun et al. 2018, 2019). Fig. 5 clearly demonstrates that

the large frequency separation around $\Delta \nu_0 = 6.9$ d$^{-1}$ is a characteristic of very young stars (see also Bedding et al. 2019).

We have repeated our fitting procedure assuming a large frequency separation of $6.91$ d$^{-1}$ derived by Bedding et al. (2019). In this case, we found that the best fitting model has a large frequency separation of $6.707$ d$^{-1}$ and is a $2.0$ M\(_\odot\) model with a core overshoot of 0.03 and a ZAMS equatorial rotation velocity of 40 km s$^{-1}$. The echelle diagram and frequency fit for this model are shown in Figs. A1 and A2 respectively. The model corresponds to a young star that is effectively on the ZAMS. The derived $\chi^2$ for the best frequency fit is an order of magnitude larger than our best fit with $\Delta \nu_0 = 3.3$ d$^{-1}$, which takes into account the spectroscopic constraints on temperature and metallicity (see Figs. 5, 6, 7 and 8).

This finding clearly indicates that the large frequency separation is not a unique factor on which we should rely to determine the fundamental stellar parameters. The spectroscopy and specifically spectroscopic estimates of $T_{\text{eff}}$ and metallicity are needed to break degeneracies amongst fundamental parameters when performing forward seismic modelling (see Aerts et al. 2018; Buysschaert et al. 2018).

Based on our simulations, the best fitting model was determined to have a large frequency separation of $3.304$ d$^{-1}$, and is compared to the observations in Fig. 6. This model has a mass of $2.4$ M\(_\odot\), a ZAMS rotation velocity of $47 \pm 5$ km s$^{-1}$, and an overshoot of $f_{\text{ov}} = 0.014$. The derived values of effective temperature, $T_{\text{eff}} = 8800 \pm 100$ K, and surface gravity, $\log g = 3.89 \pm 0.05$, are in good agreement with the spectroscopic measurements (see Table 2). The stellar luminosity of $42.5$ L\(_\odot\) derived from the best fitting model is comparable to the value reported in the TIC.

During the simulation of stellar structure, the core hydrogen fraction evolves with the star and is one of the output parameters provided by the code MESA (Paxton et al. 2011, 2013, 2015, 2018, 2019). Assuming that initial core hydrogen fraction is $X_c = 0.7$, our best fitting model was determined to have an age of $5 \times 10^8$ yr, which corresponds to $X_c = 0.33$. These parameters are derived from the best fitting model to the echelle diagram (see Fig. 9).

The amount of overshooting we found in this model is similar to that found for KIC 10526294 (Moravveji et al. 2015), and
s slightly lower than that found for KIC 7760680 (Moravveji et al. 2016). However, both of these stars are late-type B stars, and show g mode pulsations typical of Slowly Pulsating B (SPB) stars. Similar studies of a magnetic B-type star (HD 43317) found a much lower convective overshoot \((f_{ov} = 0.004)\) and the authors conclude that convective mixing is suppressed by the magnetic field (Buysschaert et al. 2018). More recently, Mombarg et al. (2019) performed ensemble asteroseismic modelling of gravity modes in 37 \(\gamma\) Doradus stars observed by the Kepler Space mission. Mombarg et al. (2019) found best-fitting diffusive exponential overshooting values that range between 0 and 0.03 for these main-sequence intermediate-mass stars.

Once a best fitting model was established, we calculated rotational splitting in the \(\ell = 1\) (blue), 2 (red), 3 (green) modes for the best fitting model. The \(m = -3, -2, -1, 0, 1, 2\) and 3 frequencies are denoted by triangles, diamonds, crosses, squares, pluses, circles, and dots respectively. The black diamonds indicate the observed frequencies. The range of radial orders shown is the same as in Fig. 6.

![Figure 9](image)

**Figure 9.** The mode splitting in the \(\ell = 1\) (blue), 2 (red), 3 (green) modes for the best fitting model. The \(m = -3, -2, -1, 0, 1, 2\) and 3 frequencies are denoted by triangles, diamonds, crosses, squares, pluses, circles, and dots respectively. The black diamonds indicate the observed frequencies. The range of radial orders shown is the same as in Fig. 6.

5 DISCUSSION

The detected photometric variability of HD 27463 with a period of \(P = 2.834274 \pm 0.000008 \text{ d}\) (see Table 1 and Fig. 3) can be explained in terms of stellar rotation with co-rotating surface abundance/brightness patches, likely due to the presence of a surface magnetic field. In a hydrodynamically stable stellar atmosphere even a relatively weak magnetic field can amplify the atomic diffusion and lead to horizontal and vertical stratification of chemical abundances (Alecian & Stift 2010; Stift & Alecian 2012, 2016). Usually the magnetic CP stars host magnetic fields that are dominated by a dipolar component with strengths on the order of several kG or less, which remains stable over long timescales (Silvester et al. 2014; Kochukhov et al. 2019). The magnetically sensitive line profiles Fe II 6147Å, 6149Å visible in the FEROS spectra of HD 27463 are not visually split due to the Zeeman effect. Taking into account the derived value of \(\text{vsin}\)\(i\) = \(27 \pm 2\) km s\(^{-1}\), it seems that the magnetic field modulus might be of order of a few kG in the stellar atmosphere of this star. It is significant enough to cause the formation of abundance patches in the stellar atmosphere of HD 27463 taking into account its spectral classification as an Ap EuCr(Sr) star (Houk & Cowley 1975). A preliminary analysis of the two FEROS spectra shows that the profiles of Si and Ca lines are strongly variable, which confirms the Ap nature of this star. The patches of enhanced abundance of different metals usually are located close to the magnetic poles or along the magnetic equator (Lüftinger et al. 2010; Kochukhov et al. 2019; Mathys et al. 2019) and contribute to the variability of spectral line profiles and the photometric flux in phase with the stellar rotation. Assuming the oblique magnetic rotator model (Stibbs 1950) in the case of HD 27463 the overabundance patches will generate a signal at the first harmonic of the rotational frequency. The derived pattern of stellar variability in the low frequency domain is in good accordance with the predictions of the oblique magnetic rotator model (see Fig. 3).

The lower panel of Fig. 3 indicates that HD 27463 shows high-frequency pulsations \((40 < \nu < 70 \text{ d}^{-1})\) with amplitudes less than 0.5 mmag. Such high-frequency pulsation modes are typically found in hotter \(\delta\) Scuti stars (Smalley et al. 2017; Bowman & Kurtz 2018). This is because the heat-engine driving mechanism operating in the He \(\text{II}\) ionisation zone is closer to the surface and is more efficient at exciting higher radial orders, hence higher frequencies, in hotter \(\delta\) Scuti stars (Pamyatnykh 2000; Dupret et al. 2019; Cunha et al. 2019) and Sikora et al. (2019) have also classified this star as a suspected \(\delta\) Scuti variable. Therefore, our spectroscopic parameters and subsequent modelling results are in agreement with this theoretically predicted and observed relationship.

Many \(\delta\) Scuti stars are known to show a long-term variability of their pulsation amplitudes and frequencies (Breger 2000; Bowman 2017). To study possible amplitude variability in HD 27463, we employed the methodology of Bowman et al. (2016), such that the amplitude and phase of a pulsation mode was tracked at fixed frequency using linear least-squares over the duration of the TESS light curve. To achieve this, the light curve of HD 27463 was divided into bins of 50 d with a step of 1 d, and amplitude and phase of a pulsation mode were optimized using linear least-squares in each bin for the frequency determined using the entire light curve. In our analysis, the zero-point of the time used in the calculation of phases was chosen as the approximate midpoint of the entire TESS light curve (i.e. BJD 2471340.0). The 1-sigma uncertainties for the amplitude and phase values were obtained from the least-squares fit.

Employing this technique we were able to detect marginal amplitude and phase modulation given the relatively large uncertainties for the pulsation modes in HD 27463. An example of the amplitude and phase modulation for the pulsation mode frequency at 59.2474 d\(^{-1}\) is shown in Fig. 10. Other pulsation modes with a relatively high amplitude (see Table 1) show similar behaviour. Our detection of amplitude and phase modulation for pulsation modes with relatively high amplitudes is in agreement with the findings of Bowman et al. (2016) that amplitude modulation is common in \(\delta\) Scuti stars with long-term amplitude modulation occurring on time scales much longer than the rotation period. Some pulsation modes in HD 27463 have very small amplitudes. In this case, it is difficult to search for an amplitude modulation taking into account that the error-bars derived from a non-linear least squares fit are of order 0.01 mmag.
We have also analysed the 26 frequencies of detected stellar pulsations located in the frequency range between 40 and 70 d$^{-1}$ (see Table 1) that result in best fitting large frequency separation around 3.3 d$^{-1}$ which is used as a constraint to model pulsation modes (see Fig. 6). The grid of stellar evolution models has been calculated with MESA version 11554 (Paxton et al. 2011, 2013, 2015, 2018, 2019) including the effects of convective overshoot and metallicity, while the simulation of linear adiabatic pulsation frequencies for each main sequence model has been carried out using the code GYRE (Townsend & Teitler 2013). Our best fitting model corresponds to an overshoot parameter of $f_{ov} = 0.014$ and results in values of global stellar parameters that are very close to those reported in the TIC and to those derived in this paper from the simulation of Balmer line profiles (see Table 2). This model was determined to have an age of $5.0 \pm 0.4 \times 10^8$ yr, which corresponds to a core hydrogen fraction of 0.33.

We have found that the large frequency separation is not a sensitive function of the convective core overshoot, as shown in Fig. 7. The spectroscopic constraints on fundamental parameters, especially $T_{\text{eff}}$ and metallicity, in addition to the observed large frequency separation serves to narrow down the number of models, which must then be compared to the observed echelle ridges (see Figs. 6, 9) and the individual frequencies (see Fig. 8) to determine the best fitting parameters.

The radial orders inferred from this work are high for δ Scuti stars, which are typically observed to have low ($1 \leq n \leq 7$) radial orders. It has been shown by Antoci et al. (2014) that moderate ($7 \leq n \leq 15$) radial orders can be excited in δ Scuti stars by means of turbulent pressure, although this pulsation excitation mechanism is most efficient in the centre of the classical instability strip. HD 27463 has been shown in this work to be closer the predicted blue edge of the classical instability strip instead of the centre, with an effective temperature of approximately 8700 K. Nevertheless, we conclude that turbulent pressure must play a role, at least in part, in the excitation of such high frequency pulsation modes in HD 27463.

Taking into account that HD 27463 is a long period ($\sim 370$ yr) visual binary with a separation of $\sim 0.3$ arcsec (Baize & Petit 1989; Hartkopf et al. 2012) we cannot exclude that the one of the detected pulsations are produced by the weaker secondary companion. Having its visual magnitude only 0.43 less than the one of the Ap primary, this companion can also fall in the δ Scuti instability region and contribute to the observed by TESS light curve of HD 27463. Comparison of the two FEROS spectra does not show clear evidences of contribution from the secondary companion. Nevertheless, to estimate parameters of this binary and to clarify the nature of the secondary companion we require acquisition of additional high-resolution and high signal-to-noise spectra of HD 27463.

We have confirmed here that HD 27463 is an Ap star. Excitation of high-radial order magneto-acoustic modes is expected and are observed in some Ap stars (the roAp stars), which possess a global magnetic field usually of dipolar structure (Kurtz 1982; Kurtz et al. 2006; Bigot & Kurtz 2011). Therefore, higher resolution spectroscopic and/or spectropolarimetric observations are also required to detect the presence of a strong large-scale magnetic field in HD 27463 to say conclusively whether the star is just a chemically peculiar δ Scuti star, or whether it can be called a roAp star. Our estimation of the upper limit on the magnetic field modulus is not in contradiction with the results of Saio (2005), who’s models require polar magnetic field strengths of $\sim 0.8$ kG or more to suppress δ Scuti pulsations. However, a precise measurement of the magnetic field in HD 27463 is required to determine the exact driving mechanism in this star and the influence of the magnetic field on the pulsation modes.

The distinction between roAp stars and chemically peculiar δ Scuti stars based on photometric data alone is becoming less clear (e.g. Balona et al. 2019). Typically, an Ap star showing rapid pulsations was historically sufficient to classify a roAp star. However, the roAp stars can show rotationally split sidelobes in the amplitude spectra of their light curves which are a result of oblique pulsation (e.g. Kurtz 1982; Bigot & Kurtz 2011). These sidelobes arise as the pulsation axis in the roAp stars is closely aligned with the magnetic axis which is inclined to the rotational one. To detect the rotational sidelobes, the line of sight to the pulsation needs to be favourable, and the rotation period shorter than the observation period. There is no indication of rotationally split sidelobes in HD 27463 which could mean we are unfortunate in the geometry or the pulsations are not oblique i.e. the pulsation and rotation axes are aligned as in chemically normal δ Scuti stars.

To conclusively say whether HD 27463 is a chemically peculiar δ Scuti star or a roAp star and to clarify the nature of the secondary companion, extensive high-resolution spectroscopic and/or spectropolarimetric observations are required. These data, along with further detailed modelling of star which takes into account the magnetic field, are needed to distinguish between these two classes of pulsator, and to investigate to what extent the magnetic field plays a role in this star and others with similar characteristics. Nonetheless, the rich frequency spectrum of HD 27463 including radial and non-radial modes spanning several radial orders demonstrates the exciting prospects for asteroseismic studies of intermediate-mass stars with TESS.

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Figure A1. The echelle diagram for the best fitting model and the observed frequencies, both plotted with a large frequency separation of $\Delta\nu_0 = 6.707 \, \text{d}^{-1}$. The blue points show the model frequencies for $\ell = 0$ (squares), $\ell = 1$ (pluses), $\ell = 2$ (circles), and $\ell = 3$ (crosses), while the green open diamonds specify the data derived from observations.

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APPENDIX A: DEGENERACY OF THE LARGE FREQUENCY SEPARATION

Figure A2. Individual frequency matches for the best fitting model using the large frequency separation of $\Delta\nu_0 = 6.707 \, \text{d}^{-1}$. The red lines are the observed frequencies plotted versus amplitude, while the black lines are the $\ell = 0$ (solid), $\ell = 1$ (dashed), $\ell = 2$ (dot-dashed), and $\ell = 3$ (dotted) model frequencies.