The CDMS low ionization threshold experiment (CDMSlite) uses cryogenic germanium detectors operated at a relatively high bias voltage to amplify the phonon signal in the search for weakly interacting massive particles (WIMPs). Results are presented from the second CDMSlite run with an exposure of 70 kg days, which reached an energy threshold for electron recoils as low as 56 eV. A fiducialization cut reduces backgrounds below those previously reported by CDMSlite. New parameter space for the WIMP-nucleon spin-independent cross section is excluded for WIMP masses between 1.6 and 5.5 GeV/$c^2$.

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Cosmological and astrophysical measurements indicate that over one quarter of the energy density of the universe consists of nonbaryonic and nonluminous matter [1, 2]. Weakly interacting massive particles (WIMPs) produced
in the Big Bang are a compelling class of candidate particles for this dark matter [3]. Recent accelerator [4] and direct-detection results [5] constrain the simplest supersymmetric models, sparking interest in alternative theories, including theories with low-mass dark matter [6–11]. It has been suggested that, because the energy densities are similar for baryonic and dark matter, the relic density may be generated by an asymmetry related to the baryon asymmetry [12–16]. In this case, the number densities of the two are also related, suggesting searches for particles with masses of a few GeV/c². Hints of WIMP signals near detector thresholds [17–21], and an excess of gamma-ray emission from the Galactic Center [22], have also contributed to interest in the low-mass WIMP region [5, 23–32].

WIMPs may create keV-scale recoils in laboratory detectors by elastically scattering off target nuclei [33]. WIMPs significantly below the target nuclei mass are an experimental challenge because they deposit small recoil energies, making it harder to distinguish WIMP signals from background and electronic noise. At these energies, techniques used to discriminate between nuclear recoils (NRs) and electron recoils (ERs) often diminish in effectiveness. The CDMS low ionization threshold experiment (CDMSlite) [23] exchanges NR discrimination for a lower threshold. This paper describes data taken with one SuperCDMS iZIP detector [34] operated in CDMSlite mode at the Soudan Underground Laboratory [35].

CDMSlite employs the Neganov-Luke effect [36–38], which amplifies phonon signals when electric charges drift through a material [39–41]. Work done by the electric field on the electron-hole pairs is fully converted into phonons along the drift path of the charges. The total measured phonon signal \( E_t \), including the energy \( E_r \) from the initial particle interaction, is

\[
E_t = E_r + N_{\text{eh}} \epsilon V_b,
\]

where \( \epsilon \) is the elementary charge, \( V_b \) is the bias voltage, and \( N_{\text{eh}} \) is the number of electron-hole pairs created in the interaction. The average energy required to create an electron-hole pair for an electron recoil in germanium is \( \epsilon_\gamma = 3 \text{ eV/pair} \), which gives \( N_{\text{eh}} = E_r/\epsilon_\gamma \). When \( V_b \) is large compared to \( \epsilon_\gamma \), the Neganov-Luke phonons dominate the measured signal and allow for lower thresholds to be reached.

Nuclear recoils produce electron-hole pairs less efficiently, so an ionization yield \( Y(E_r) \) that depends on energy and interaction type is defined through \( N_{\text{eh}} = Y(E_r) E_r/\epsilon_\gamma \), where \( Y \equiv 1 \) for electron recoils. The total energy can be expressed as

\[
E_t = E_r \left( 1 + Y(E_r) \frac{\epsilon V_b}{\epsilon_\gamma} \right).
\]

The energy scale thus also depends on the interaction type. The detector is calibrated using ERs and the resulting energy scale is labeled as keVee. The spectrum is then converted to nuclear recoil equivalent energy (labeled as keVnr) by comparing Eq. 2 for ERs and NRs and solving for \( E_{\text{nr}} \):

\[
E_{\text{nr}} = E_{\text{ee}} \left( \frac{1 + \epsilon V_b/\epsilon_\gamma}{1 + Y(E_{\text{nr}}) \epsilon V_b/\epsilon_\gamma} \right),
\]

where \( Y(E_{\text{nr}}) \) is the ionization yield for NRs.

During a first short data run of CDMSlite, this mode of operation was proven viable and provided leading sensitivity to WIMPs with masses between 3 and 6 GeV/c² [23]. The data presented here are from the second CDMSlite run using the same detector, performed from February to November 2014 and taken in three hour long data series (to maintain the neutralization of the detector [35]). A voltage bias of \(-70 \text{ V} \) was applied to one side of the detector with the other side at 0 V. The electronics setup followed that of the first CDMSlite run with phonon sensors instrumented only on the grounded side of the detector [23]. The single CDMSlite detector was still part of the full SuperCDMS detector array where all detectors are read-out with every trigger. Several hardware and operational improvements were implemented for this run [42]. Fluctuations in bias voltage were reduced by cleaning the high-voltage biasing electronics board, sealing it against humidity, and placing it in a dry nitrogen atmosphere. The large detector leakage current observed at the start of each data series in the first run was decreased by “prebiasing” the detector at \(-80 \text{ V} \) for 10 min prior to each series. Cryocooler-induced microphonic noise that limited the threshold of the first CDMSlite run was better rejected by the installation of vibration sensors near the connection of the cryocooler to the SuperCDMS cryostat.

The cryocooler degraded during the run, causing the induced noise to dominate the trigger rate. The experiment was warmed to room temperature in July to allow for the routine replacement of the cryocooler cold head. The run resumed in September and, due to the maintenance reducing the microphonic noise rate, a lower energy threshold was achieved. The run is thus naturally split into two periods: February–July (period 1) and September–November (period 2).

Time intervals with exceptionally high trigger rates were removed from the WIMP-search exposure. Events with elevated prepulse noise were conservatively removed because the integrity of the detector cannot be guaranteed during the time since the preceding event. Glitches, defined as pulses with uncharacteristically sharp rise and fall times, were observed and removed in three categories: electronic glitch events that cause simultaneous triggers in multiple detectors, glitches in the outer charge channel of the CDMSlite detector, which do not cause triggers themselves but can be coincident with a phonon trigger, and glitches that mimic standard events in all but pulse shape. Events coincident with the NuMI neutrino beam [43], and events whose NuMI timing information (for determining coincidence) was unavailable, were removed. The combination of the above cuts, except the third class of glitches (see below), reduced the live time from 132.23 to 115.59 d: 97.81 d (110.28 raw) in period.
1 and 17.78 d (21.95 raw) in period 2. Events with energy deposited in multiple detectors or coincident with the muon veto were also removed, with a combined efficiency of 97.21 ± 0.01 % for the detection of dark matter.

Neutron calibrations were performed three times over the course of the run by exposing the detectors to a 252Cf source. Neutron capture on 70Ge creates 71Ge, which decays via electron capture with a half-life of 11.43 d [44]. X rays and Auger electrons are emitted with a total energy corresponding to the 71Ga electron binding energy of the shell from which the electron is captured. The $K$, $L$, and $M$-shell binding energies are 10.37, 1.30, and 0.16 keV, respectively [45], with the latter two in the energy region of interest for this analysis.

The ER energy scale was calibrated using the K-capture line from 71Ge. Drifts in detector bias and cryostat base temperature caused this line to vary by 5–10% over time. After correcting for those effects, two small (~2.5% total) residual shifts of unknown origin were observed and corrected.

The trigger efficiency was calculated by measuring, as a function of the reconstructed energy in the CDMSlite detector, the fraction of events triggering another detector that also trigger the CDMSlite detector. The data used for this were a subset of the 252Cf calibration events, with very strict cuts removing events that could cause triggers due to noise or cross talk in the CDMSlite detector in coincidence with the other iZIP detectors. In the two periods, 50% trigger efficiency was reached at 75±4 and 56±6 eVee, respectively, except for the 4.22 days immediately prior to the midrun warm-up. During these few days, the hardware trigger threshold was increased slightly to reduce noise-induced triggers (see below).

Pulse shape was used to distinguish signal events from noise events, to make fiducial cuts, and to correct energy calibrations. All events were fit to three different templates corresponding to the standard signal event, electronic glitches with quick rise and fall times, and cryocooler-induced low-frequency noise (LF noise). The differences between goodness-of-fit quantities for the templates were used to identify glitches and LF noise. As the cryocooler degraded during period 1, the rate of LF noise greatly increased. A metric based upon the noise profile across the cryocooler’s 830 ms cycle was used to identify periods of calendar time with high or low cryocooler-induced LF noise. The pulse-shape discrimination cut was then set to be tighter during periods of more cryocooler noise, with the goal of minimizing leakage at the expense of efficiency. The efficiency of all three pulse-shape criteria was determined by comparing the start time and the amplitude of the fast and slow template pulses, allowing the position and energy information to be separated.

A valid pulse shape has two components: a fast one whose amplitude depends on the position of the scattering event and a slow one that carries the primary energy information. For this analysis, a new algorithm was introduced that fits pulses from each phonon channel with a linear combination of fast and slow template pulses, allowing the position and energy information to be separated. The position information was used, along with the segmentation of the phonon sensor into one outer and three inner segments, to construct a radial parameter by comparing the start time and the amplitude of the fast component of the outer and inner sensors. This radial parameter is shown as a function of energy in Fig. 2, where the densely populated band at higher parameter values corresponds to events in the outer part of the detector. A nonuniform field in this region draws charge carriers to the sidewall of the detector, preventing them from traversing the full potential. This produces a reduced Neganov-Luke amplification and distorts the energy spectrum.

The radial cut removes more than 90% of these events, along with a small contribution of low-energy surface events originating on the detector housing, down to low energies while maintaining a reasonable fraction of the exposure for inner events. The few remaining reduced-energy events contribute to the background at lower energy. In period 2, a cluster of background events appeared below ~250 eVee and was located in the outer part.
FIG. 2. Radial parameter as a function of energy for the first (top) and second (bottom) periods. The dashed lines indicate the radial cut. The densely populated band at larger values corresponds to events near the edge of the detector. The vertical clusters are the $^{71}\text{Ge}$ capture peaks. The clear separation between outer and inner events decreases at high energy due to signal saturation in the outer phonon channel. The slight downward shift in the distribution after the maintenance period (caused by a small change in the operating point of the phonon sensors) together with the appearance of an unexplained localized background below $\sim 250$ eV$_{ee}$ near the edge of the detector motivated a tighter radial cut in period 2. of the detector near one of the connectors. This, together with differences in the operating conditions between the two periods, motivated a tighter cut in period 2. The fiducial-volume cut significantly reduced the background rate compared to the first CDMSlite run.

The acceptance for the radial fiducial cut was determined using the $^{71}\text{Ge}$ electron-capture events, which sample a uniform spatial distribution in the detector. These events can be divided into three categories: those degraded in energy, those with full energy that fail the fiducial cut, and those with full energy that pass the fiducial cut. The fraction of events in the first category is given by the electric-field geometry and is energy independent. To measure this effect, the radius-energy plane was divided into sections and a likelihood-based Monte Carlo simulation was applied to each section independently to determine the contribution of two components: a time-independent background and a contribution from the $^{71}\text{Ge}$ activation lines exponentially decaying in time. The known ratio of $L$- to $K$-capture rates was used to separate the $L$- and $K$-capture contributions. The fraction of events with a full Neganov-Luke phonon signal was determined to be $\sim 86\%$.

Next, the fraction of events with full phonon signal removed by the radial cut was computed at the capture-peak locations as the number of events passing the cut criterion divided by all peak events after background subtraction. The background in the inner part of the detector is negligible compared to the peak rate; in the outer part the background was calculated from the observed event rates above and below the peak. To measure the efficiency at lower energies, a pulse-simulation method was implemented. All events from the $L$-capture peak (chosen to avoid observed signal saturation in the outer phonon channel above $\sim 2$ keV$_{ee}$) were used to generate nearly noise-free pulses using the extracted composition of the fast and slow templates. These noise-free pulses were then scaled to the desired energy before adding measured noise. This sample of artificial raw events was analyzed in the same manner as the real raw data. The efficiency was measured using the fraction of artificial events passing the radial cut, taking into account the background contribution in the original event sample. The combined fiducial-volume efficiency was calculated to be $\sim 50\%$ with a mild energy dependence as shown in Fig. 1.

The final spectrum after application of all selection criteria and correcting for all efficiencies (except the trigger efficiency) is shown in Fig. 3. The main features are the $^{71}\text{Ge}$ electron-capture peaks at 10.37, 1.30, and 0.16 keV. Hints of other peaks can be seen on top of a smooth background from Compton scattering of higher-energy gamma rays. The observed ratio of the rates for the $M$- and $L$-capture peaks is $0.16 \pm 0.03$, compared to an expected 0.17 [46]. Other numerical characterizations of the primary components of the spectrum are listed in Table I.

In CDMSlite mode, the ionization yield cannot be measured on an event-by-event basis, necessitating a model. The most common model in the field is that of Lind-
TABLE I. Left: resolution of the $^{71}$Ge capture peaks. Right: average rate between the peaks, after application of all selection criteria, corrected for efficiency. The difference in rates above and below the $K$-capture peak can be attributed to unresolved peaks due to cosmogenic backgrounds and the higher rate below the $M$-capture peak can be attributed to more background leakage at lower energies in period 2.

$\frac{\text{Energy}}{\text{keV}_{ee}}$ | $\frac{\text{Resolution}}{\text{[\sigma/\mu, \%]}}$ | $\text{Range}$ | $\frac{\text{Average rate}}{\text{[keV}_{ee}\text{kg day}^{-1}]}$ |
---|---|---|---|
0.16 | $11.4\pm2.8$ | $0.056-0.14$ | $16.33^{+8.18}_{-7.97}$ |
1.30 | $2.36\pm0.15$ | $0.2-1.2$ | $1.09\pm0.18$ |
10.37 | $0.974\pm0.009$ | $1.4-10$ | $1.00\pm0.06$ |

hard [47]:

$$Y(E_{nr}) = \frac{k \cdot g(\varepsilon)}{1 + k \cdot g(\varepsilon)}, \quad (4)$$

where $g(\varepsilon) = 3e^{0.15+0.7e^{0.6+\varepsilon}}$, $\varepsilon = 11.5E_{nr}(\text{keV})Z^{-7/3}$, and $Z$ is the atomic number of the material. For germanium, $k = 0.157$, but the model is somewhat uncertain for low recoil energies. This uncertainty was accounted for by varying $k$ uniformly between $k = 0.1$ and 0.2, which encompasses a majority of the experimentally observed data [48].

The data below 2 keV$_{ee}$ and above the respective 50\% trigger-efficiency values were used to set the 90\% confidence upper limit on the spin-independent WIMP-nucleon cross section. This was done using the optimum interval method with no background subtraction [49], the Helm form factor, and the following standard dark matter halo assumptions: a local dark matter density of 0.3 GeV cm$^{-3}$, a most probable Galactic WIMP velocity of 220 km s$^{-1}$, a mean orbital velocity of Earth with respect to the Galactic Center of 232 km s$^{-1}$, and a Galactic escape velocity of 544 km s$^{-1}$ [50]. The results are shown in Fig. 4.

Statistical and systematic uncertainties were propagated into the limit by calculating the final efficiency as a function of energy numerous times, each time picking at random from the distributions of each input parameter. Statistical uncertainties exist in the trigger efficiency, pulse-shape and radial-cut simulations, and energy-independent cuts, while systematic uncertainties exist in the pulse-shape and radial-cut simulations, and the Lindhard model $k$-value. Limits were computed using 1000 sample curves with the median and 95\% interval given in Fig. 4. The uncertainty is dominated by the Lindhard model, particularly below masses of 3 GeV/c$^2$, and the radial-cut efficiency.

This result excludes new parameter space for WIMP masses between 1.6 and 5.5 GeV/c$^2$. The improvement in sensitivity over the first CDMSlite run is due to the increase in exposure, the reduction in threshold, and the decrease in background resulting from the radial fiducial-volume cut. A kink in the limit is seen at $\sim$6 GeV/c$^2$. Simulations indicate that this feature is a consequence of the $M$-shell line at 160 eV$_{ee}$. Finally, the effect of having a tighter radial threshold in period 2 was considered. Placing the same looser threshold in both periods would result in a $\sim$9\% weakened sensitivity below masses of 6 GeV/c$^2$, which is well within the presented uncertainty band.

In conclusion, the second CDMSlite run was successful in operating an iZIP detector at a bias potential of $-70$ V for a 70.10 kg days analysis exposure, with ionization thresholds of 75 and 56 eV$_{ee}$ attained for the first and second period, respectively. The development of a fiducial-volume cut reduced the overall background rate significantly. The results presented here can be significantly improved in future CDMSlite runs by lowering the threshold and background rate. The former can be achieved with better phonon resolution and higher bias potentials, and the latter with material selection and quality control. All of these improvements are planned for the SuperCDMS SNOLAB experiment.

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