Assessing the uncertainty in a normal tissue complication probability difference (ΔNTCP): radiation-induced liver disease (RILD) in liver tumour patients treated with proton vs X-ray therapy

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ABSTRACT

Modern radiotherapy technologies such as proton beam therapy (PBT) permit dose escalation to the tumour and minimize unnecessary doses to normal tissues. To achieve appropriate patient selection for PBT, a normal tissue complication probability (NTCP) model can be applied to estimate the risk of treatment-related toxicity relative to X-ray therapy (XRT). A methodology for estimating the difference in NTCP (ΔNTCP), including its uncertainty as a function of dose to normal tissue, is described in this study using the Delta method, a statistical method for evaluating the variance of functions, considering the variance–covariance matrix. We used a virtual individual patient dataset of radiation-induced liver disease (RILD) in liver tumour patients who were treated with XRT as a study model. As an alternative option for individual patient data, dose-bin data, which consists of the number of patients who developed toxicity in each dose level/bin and the total number of patients in that dose level/bin, are useful for multi-institutional data sharing. It provides comparable accuracy with individual patient data when using the Delta method. With reliable NTCP models, the ΔNTCP with uncertainty might potentially guide the use of PBT; however, clinical validation and a cost-effectiveness study are needed to determine the appropriate ΔNTCP threshold.

Keywords: normal tissue complication probability; uncertainty; proton therapy; radiation-induced liver disease; liver tumour
INTRODUCTION
Proton beam therapy (PBT) has emerged as a promising radiotherapy modality due to its favourable physical properties, in that it allows dose escalation to the tumour and minimizes unnecessary doses to normal tissues. With the aim of appropriate patient selection for PBT, a group of researchers at the University of Groningen, Netherlands, first introduced the model-based approach (MBA) to identify patients who could potentially benefit from PBT over X-ray therapy (XRT) by using a normal tissue complication probability (NTCP) model to estimate the risk of developing toxicity [1]. Langendijk et al. and Jokabi et al. investigated the NTCP difference (ΔNTCP) obtained from in silico planning, comparing intensity-modulated radiotherapy (IMRT) with intensity-modulated proton therapy (IMPT) in head and neck cancers [1, 2]. The selective use of PBT relies on a predefined ΔNTCP threshold, such as 10% for Grade II or 15% for total clinical benefit, according to the Dutch Society of Radiation Oncology (NRVO) guidelines [3]. However, these models were derived from a statistical assumption based on a small subset of the population, and the model uncertainty affects the accuracy of PBT selection [4]. In other words, underestimating ΔNTCP can eliminate the opportunity to benefit from PBT, whereas an overly cautious practice might cause the unnecessary use of this high-cost treatment. Therefore, uncertainty regarding the ΔNTCP values is necessary for better clinical implementation in the general population.

In the development of a reliable and generalized NTCP model, using large patient cohorts from multi-institutional datasets can further enhance the model accuracy. However, access to individual dose–volume histogram (DVH) data might be limited in local institutions due to ethical or technical issues. Recently, Wedenberg reported the use of dose-bin data obtained from the literature in order to assess the uncertainty in the estimated dose–response relation for radiation myelopathy and pneumonitis using statistical bootstrap analysis [5]. The advantage of the dose-bin method is its practical convenience, because the data needed for analysis are the number of patients and the number of occurrences of the endpoint in each dose bin. This results in less ethical concern because patient identifier data will not necessarily be revealed. Therefore, dose-bin data is another option for acquiring individual data for large-volume data sharing among institutions. However, the accuracy of using this type of data has yet to be warranted.

The present study uses radiation-induced liver disease (RILD) in liver tumour patients as a study model for describing the methodology of assessing ΔNTCP with uncertainty, using the 95% confidence interval (95% CI), between XRT and PBT. It also compares the results derived from individual patient datasets with those derived from dose-bin datasets, using various methods.

MATERIALS AND METHODS
NTCP model for RILD
RILD is a dose-limiting toxicity of liver radiotherapy and occurs with a frequency of ~5–10% when whole liver is irradiated with up to 30–35 Gy [6, 7], but a tumour requires 60–70 Gy for curative purposes. The most commonly used NTCP model for RILD is the Lyman–Kutcher–Burman (LKB) model [8, 9]. The three parameters of the LKB NTCP model are $TD_{50}$ (1) (the 50% tolerance dose of whole organ), $m$ (the steepness of the dose–response curve) and $n$ (the volume effect). To account for non-homogenous irradiation to the organ, the generalized equivalent uniform dose (gEUD) was adopted [10, 11]. The physical dose from the PBT plan, assuming a RBE of 1.1, and the fractionation schemes should be converted into gEUD as described in a supplementary document (Appendix 1).

Study scheme and virtual patient dataset generation
The study scheme is illustrated in Fig. 1. Due to the lack of a large set of DVH data and observed toxicities in liver cancer patients, we created a virtual patient dataset mimicking the Michigan data [12, 13]. In Monte Carlo fashion, a set of virtual patients in whom the statistics on mean normal liver dose (MNLD) distribution and RILD events were similar to the Michigan data was generated (REF dataset). Subsequently, the REF dataset was organized by dividing the dose level into equal intervals of 5 Gy (0–5 Gy, 5–10 Gy, 10–15 Gy, and so on) and then counting the number of RILD cases and the total number of patients in each dose level/bin (dose bin, DB, dataset) (Appendix 2).

Determination of LKB NTCP model parameters
The two types of dataset included the input data for determining the LKB NTCP model parameters using maximum likelihood estimation (MLE), where $TD_{50} (1)$ and $m$ were adjusted to maximize the probabilities of predicting complications for those who experienced RILD and of predicting no complications for those who did not [14]. Subsequently, the variance ($\sigma^2$ or var) and covariance ($cov$) of $TD_{50} (1)$ and $m$ were obtained from the observed Fisher Information Matrix (FIM). The approximate 95% CI was evaluated as 1.96 standard deviations of the mean ($\sigma \sqrt{\text{var}}$), $1.96 \times \sqrt{\text{var}}$, according to the central limit theorem.

Definition of the ΔNTCP function
With gEUD from the treatment plan and the estimated LKB NTCP parameters, $TD_{50} (1)$ and $m$, from MLE, the ΔNTCP between XRT and PBT is given by the following function:

$$f(XRT, PBT) = NTCP_{XRT}(\text{gEUD}_{XRT} | TD_{50}(1), m) - NTCP_{PBT}(\text{gEUD}_{PBT} | TD_{50}(1), m),$$

where $f$ is a function of ΔNTCP between XRT and PBT and gEUD$_{XRT}$ and gEUD$_{PBT}$ denote the normal liver dose for a certain patient for XRT and PBT, respectively. $TD_{50} (1)$ is the 50% tolerance dose for uniform distribution for the whole organ, and $m$ is the steepness of the dose–response curve at $TD_{50} (1)$.

Determination of the ΔNTCP with uncertainty
Given the function of the ΔNTCP and the estimated var and cov matrix, the Delta method was applied [15]. Briefly, the Delta method is a standard statistical method for obtaining an approximation of the variance of a function.
\[
\text{var}(f) = (\partial f/\partial TD_{50})^2 \text{var}(TD_{50}) \\
+ 2(\partial f/\partial TD_{50})(\partial f/\partial m) \text{cov}(TD_{50}, m) \\
+ (\partial f/\partial m)^2 \text{var}(m)
\]

where \(\partial f/\partial TD_{50}\) and \(\partial f/\partial m\) are partial differentials of \(f\) with central estimates of \(TD_{50}\) and \(m\), \(\text{var}(TD_{50})\) and \(\text{var}(m)\) are variances of \(TD_{50}\) and \(m\), respectively, and \(\text{cov}(TD_{50}, m)\) is a covariance between \(TD_{50}\) and \(m\).

Four different algorithms for assessment of the \(\Delta\text{NTCP}\) uncertainty (95% CI) were proposed in the present study. Algorithm #1: the Delta method was applied using the REF dataset to define \(\Delta\text{NTCP}\) with a 95% CI (\(\Delta\text{NTCP}_{\text{REF}}\)) as described above. Algorithm #2: the same procedures were performed using the DB dataset (\(\Delta\text{NTCP}_{\text{DB}}\)).

Using the bootstrapping technique, newly synthesized individual datasets were generated from the DB dataset. In this case, a thousand bootstrap replicates were generated by random sampling with replacement within each dose-bin. As a result, each bootstrap replicate represented an alternative outcome in a different set of patients of the same size from the same population and contributed to different values of \(TD_{50}(1)\) and \(m\) and to their variability (\(\text{var}\) and \(\text{cov}\)). Algorithm #3: the family of parameters and variability were analysed using a method introduced by Efron [16] to identify the means of \(TD_{50}(1), m, \text{var}\) and \(\text{cov}\). Subsequently, the \(\Delta\text{NTCP}\) with uncertainty
was evaluated using the Delta method ($\Delta\text{NTCP}_{\text{BS1}}$). Another method for assessing the uncertainty due to sampling variability was proposed by Wedenberg [5] and was used here. Algorithm #4: the 95% bootstrap CI of the $\Delta\text{NTCP}$ was estimated by analysis of the family of NTCP and $\Delta\text{NTCP}$ values ($\Delta\text{NTCP}_{\text{BS2}}$).

All analyses were conducted in R statistics (R Development Core Team, 2010) [17].

RESULTS
Estimated LKB NTCP parameters
From the generated REF dataset (Algorithm #1), the average MNLD among 203 patients was 29.9 Gy (range, 15.2–43.7 Gy), compared with 32 Gy (range, 14.9–44 Gy) in the Michigan study’s original data. The average MNLD was 40 Gy and 28.9 Gy for RILD and non-RILD patients, respectively, in the REF dataset and was 37 Gy and 31.3 Gy in the Michigan study. The re-estimated $TD_{150} (1)$ and the parameter $m$ were 43.2 Gy (95% CI 39.1–47.3) and 0.18 (95% CI 0.11–0.24), respectively, which were convincingly similar to the original parameters, 43.3 Gy (95% CI 41.9–52.8) and 0.18 (95% CI 0.14–0.24) [12]. Figure 2 illustrates the estimated NTCP and gEUD of 203 patients with 19 RILD in the REF dataset resembling the Michigan study data (Fig. 2a), with an estimated NTCP curve with 95% CI as a function of gEUD of normal liver, considering $cov(TD_{50}, m)$ (Fig. 2b).

The re-estimated parameters from the DB dataset without (Algorithm #2) and with the bootstrapping technique (Algorithms #3 and 4) were compared with those from the Michigan study and the REF dataset, as shown in Table 1. Comparisons of the NTCP curves of Algorithm #1, #2 and #3 showed nearly identical results (Fig. 2c). Note that no representative NTCP curves, $TD_{150} (1)$ or $m$ were identified for Algorithm #4 due to the nature of the uncertainty estimation by curve analysis.

Estimated $\Delta\text{NTCP}$ with 95% CI
From the REF dataset (Algorithm #1), the var of $TD_{150} (1)$ and $m$ were 4.41 and 0.0010, respectively, which was similar to 4.323 and

![Fig. 2](image-url)
0.0010 derived from the DB dataset (Algorithm #2). The cov(TDS0, m) was calculated as 0.0519 and 0.0011, respectively. The correlation coefficient calculated from var and cov showed a positive strong relationship between TDS0 (1) and m, with a value of 0.778 in the REF dataset and 0.768 in the DB dataset. Using the bootstrapping technique, the distribution of the model parameters from 1000 bootstrap replicates is shown in Fig. 3a and b, with a correlation coefficient of 0.8. Again, var and cov were not assessed in Algorithm #4.

The ΔNTCPREF, as a function of gEUD between XRT and PBT, is shown in the contour lines of the central estimate (Fig. 4a) and the 95% CI lower boundary (Fig. 4b). Each line represents the iso-ΔNTCP. With the contours of ΔNTCP, we can select the patient for PBT based on the confidence level. For example, in Fig. 4c, using the contour of the 95% CI lower boundary, the PBT is favoured for those with a normal liver dose of 36 Gy or more with the XRT plan, with a 95% confidence that the ΔNTCP is 10% or higher. In contrast, using the contours of the central estimate, PBT likely provides a potential benefit for patients who receive a normal liver dose of 33 Gy or more with the XRT plan, with less confidence. Thus, the use of a 95% CI lower boundary contour is more conservative for patient selection for PBT than is using the central estimate contour. However, in the area of 33–36 Gy, the

Table 1. LKB NTCP parameters with 95% confidence intervals and their variance and covariance, according to the four proposed algorithms

| Algorithms | #1 | #2 | #3 | #4 |
|------------|----|----|----|----|
| Dataset    | Michigan’s data | REF dataset | DB dataset | BS from DB dataset |
| LKB NTCP parameters (95% CI) | | | | |
| TDS0 (1), Gy | 43.3 (42.9–52.8) | 43.2 (39.1–47.3) | 43.4 (39.4–47.5) | 43.7 (38.7–48.7) | NA |
| m | 0.18 (0.14–0.24) | 0.18 (0.11–0.24) | 0.18 (0.11–0.24) | 0.18 (0.11–0.24) | NA |
| Variance | | | | |
| TDS0 (1) | NA | 4.41 | 4.32 | 6.47 | NA |
| m | NA | 0.0010 | 0.0010 | 0.0011 | NA |
| Covariance | NA | 0.0519 | 0.0502 | 0.0606 | NA |

*No representative NTCP curves, TDS0 (1), m including their variability were identified for Algorithm #4 due to the nature of uncertainty estimation by curve analysis. LKB = Lyman–Kutcher–Burman, NTCP = normal tissue complication probability, CI = confidence interval, REF = reference, DB = dose-bin, BS = bootstrapping, TDS0 (1) = the 50% tolerance dose for whole organ, m = steepness of the dose–response curve at TDS0 (1), NA = not available.

Fig. 3. The distribution of model parameters from Algorithm #1 (●), #2 (▴) and 1000 bootstraps (+) with the mean value #3 (♦) (Fig. 3a). The correlation coefficients (R) between TDS0 and m from Algorithms #1 (solid line), #2 (dashed line) and #3 1000 bootstrap cases (+) suggested a strong relationship between TDS0 and m (Fig. 3b). TDS0 (1) = the 50% tolerance dose for whole organ, m = steepness of dose–response curve at TDS0 (1), R = Pearson’s correlation coefficient, ALGO = algorithm.
The contours of the 95% CI lower boundary of ΔNTCP at 10% among four proposed algorithms are compared in Fig. 5. Compared with the ΔNTCP^REF (Algorithm #1), the contour of the ΔNTCP^DB (Algorithm #2) was nearly indistinguishable, as were the ΔNTCP^BS1 (Algorithm #3) and the ΔNTCP^BS2 (Algorithm #4). This was true, in spite of the varying percentage differences of the ΔNTCP. However, the contours from the bootstrapping techniques yielded little differences. This might be due to the larger cov found in the bootstrap dataset.

**DISCUSSION**

Considering the Michigan study’s parameters and the number of patients reported in the literature [12], the REF dataset was a good representation of the Michigan data, despite a small difference in the MNLD. The re-identified model parameters were remarkably similar to the original ones. However, variant 95% CI values were observed due to the different methods used to obtain the uncertainty, i.e., the profile likelihood method used in the Michigan study versus the variance-based method based on the central limit theorem used in our study. With virtual simulated gEUD data from 203 patients, the ΔNTCP with 95% CI between the treatment modalities could be determined using the Delta method. The 95% CI lower boundary of the ΔNTCP provides a more conservative threshold for selecting patients for PBT compared with the central estimate. Our results also demonstrated that the LKB NTCP model parameters and variability derived from the dose-bin dataset were very similar to those from the individual patient dataset. Additionally, the contour of the ΔNTCP^DB was very similar to the one of the ΔNTCP^REF.

Liver cancer is common in Eastern and Southeastern Asia [18]. Data from Japan on comprehensive cancer statistics show that it is the fifth most common cancer, with an estimated incidence of 45,100 cases, and liver cancer was the fifth most common cause of cancer deaths in 2015 [19]. PBT is an effective treatment modality for both primary and secondary liver malignancies [20–25]. A prospective Phase II clinical study demonstrated the efficacy and feasibility of PBT in primary liver tumours [26]. Although a randomized controlled trial (RCT) comparing PBT with standard XRT is expected in the future, there are several obstacles impeding the...
conduct of an RCT in this situation [27, 28]. Thus, the MBA-based NTCP model is currently more appealing due to its feasibility in development and implementation for allocating the best treatment modality to individual patients [1, 2, 29].

Bijman et al. assessed the model uncertainty using a probability distribution (mean and CI) of the model coefficients from multivariable NTCP models in head and neck cancers and concluded that the accuracy of the MBA on patient selection for PBT is largely affected by the uncertainty in the NTCP models [4]. In contrast, the uncertainty of the LKB NTCP model for RILD relies on the model parameters’ variability, var and cov. Due to the high correlation between TD50 and m, we assumed that the uncertainty of the NTCP curves would be better estimated when cov(TD50 m) was considered.

The mean value of the NTCP was generally applied to obtain the ΔNTCP [1–3]. In the present study, we showed that the lower boundary of the 95% CI, considering var and cov, was a more conservative threshold of ΔNTCP for decision-making regarding the use of PBT. In clinical practice, for a certain patient, a treatment plan comparison between XRT and PBT is performed, based on the dosimetric difference of normal liver DVHs. When using our iso-ΔNTCP curve (Fig. 4), if the gEUD falls within the area where the ΔNTCP is more than the predefined ΔNTCP threshold (the area to the right of and beneath the contour), a PBT can be chosen for a particular patient. This 95% CI lower boundary method conservatively selects those patients who potentially could benefit from PBT. Thus, the overuse of PBT can be prevented. However, the predefined threshold should be appropriately determined based on clinical outcomes and cost-effectiveness studies.

Toramatsu et al. performed a dosimetric comparison between spot-scanning proton therapy (SSPT) and IMRT in 10 HCC patients with 13 tumours [30]. We obtained the gEUDs, or mean fraction size equivalent doses (FEDs), from the XRT and PBT plan from table 2 in Toramatsu et al.’s publication and applied them to our iso-ΔNTCP contours. According to Toramatsu’s study, tumours with a nominal diameter of >6.3 cm (8/13 tumours) had an average risk of RILD of 6.2% for SSPT and 94.5% for IMRT, corresponding with our 10% iso-ΔNTCP 95% CI lower boundary contour (Fig. 6). However, the parameter n was slightly different in our Michigan-resembling NTCP curve (n = 1.1) and Toramatsu’s publication (n = 0.97).

Based on the types of available data, our study suggests that the DB data can be utilized and achieves the same results as individual patient data, with more convenience in data collection and sharing. Algorithm #2 constantly provided results similar to those achieved with Algorithm #1, whereas Algorithms #3 and #4 were affected by statistical instability and consumed a large amount of time.

Due to the lack of individual patient data, we created a virtual simulated patient dataset based on the Michigan study data, in which the fractionation scheme was unique (1.5 Gy twice daily) and concurrent chemotherapy was administered. In this study, the LKB model was used to create the map, but there were several types of NTCP models assuming different equations and parameters and resulting in different NTCP values and ΔNTCP contours. Thus, our iso-ΔNTCP contours should be interpreted cautiously. Furthermore, the NTCP model derived from the Michigan study was dedicated to patients with normal liver function treated with XRT, and

![Fig. 6. Fraction size equivalent doses (FEDs) of 13 liver tumours from Toramatsu’s data (filled squares) are plotted with the contour of the iso-ΔNTCP 95% CI lower boundary derived from Algorithms #1 (dashed line) and #2 (solid line). The small numbers above denote tumour size in centimeters. gEUD = generalized equivalent uniform dose, XRT = X-ray therapy, PBT = proton beam therapy, ALGO = algorithm.](image-url)

the PBT is theoretically useful for those with impaired hepatic function (Child–Pugh B and C), as suggested by Dawson [31]. As a result, the NTCP model needs to be prospectively developed and needs to include these patient subgroups in order to develop an accurate and reliable iso-ΔNTCP decision-making map. In the future, clinical validation studies and cost-effectiveness analyses are expected to select patients who potentially could benefit from PBT.

In conclusion, the methodology presented in this paper relies on systematic statistical considerations of the 95% CI based on the Delta method and, considering the variance–covariance matrix, can be applied to other types of NTCP models and tumours. This might ultimately establish a guideline for properly selecting patients for proton therapy.

SUPPLEMENTARY DATA
Supplementary data is available at Journal of Radiation Research online.

CONFLICT OF INTEREST
The authors state that there are no conflicts of interest.

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