On the genetic determinism of muscular hypertrophy in the Belgian White and Blue cattle breed

I. Experimental data (*)

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Summary

The inheritance of muscle hypertrophy has been studied in an experiment where F1 cows (Belgian Blue × Friesian) are backcrossed to Belgian Blue sires. The total weight of the most important muscles, in calves slaughtered at the constant weight of 84 kg, was the criterion for muscle development. The distribution of this variable in the backcross shows a clear bimodality corresponding to the segregation of 2 alleles, in equal proportions.

The fitting of a monogenic model, by the Weighted Least Squares method, has led to the estimations of gene effect and dominance deviation. The difference between the 2 homozygotes amounts to more than 6 times the standard deviation within genotype. It is concluded that a major gene is involved in the determination of muscle hypertrophy in the Belgian Blue cattle breed and that regarding the phenotypic expression considered in this study this gene behaves as a partially recessive gene, the heterozygote being near the homozygous normal. The symbol mh for muscular hypertrophy is proposed to identify this major gene.

Key words: Belgian White and Blue breed, muscle hypertrophy, inheritance, major gene, cattle.

Résumé

Le déterminisme génétique de l'hypertrophie musculaire dans la race bovine Blanc-Bleu Belge. I. - Données expérimentales

L'hérédité de l'hypertrophie musculaire est étudiée dans une expérience où des vaches F1, issues de taureaux de race Blanc-Bleu Belge et de vaches Frisonnes sont croisées en retour à des taureaux de race Blanc-Bleu Belge.

Le critère de développement musculaire a été le poids total des muscles les plus importants obtenu sur des veaux abattus au poids constant de 84 kg. La distribution de cette variable dans le croisement de retour est nettement bimodale ce qui correspond à la

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ségrégation, en proportions égales, d'une paire d'allèles. L'ajustement d'un modèle mono-
génique par la méthode des moindres carrés pondérés a conduit à l'estimation de l'effet du
gène et de la déviation de dominance. La différence entre homozygotes s'élève à plus de 6 fois
la déviation standard « intra-génotype ». On en conclut qu'un gène majeur est impliqué dans
la détermination de l'hypertrophie musculaire dans la race Blanc-Bleu Belge et que, pour
le critère utilisé, ce gène se comporte comme un récessif partiel, l'hétérozygote étant plus
près de l'homozygote normal. Le symbole mh est proposé pour identifier ce gène majeur.

Mots clés : Race Blanc-Bleu Belge, hypertrophie musculaire, hérédité, gène majeur,
bovin.

I. Introduction

The genetic determinism of muscle hypertrophy in cattle has been considered
according to the authors, as due either to one single gene (dominant complete or
partial, recessive complete or partial) or to more than one gene (see the review
by MENISSIER, 1982). On the other hand, in most of the genetic analyses of this
condition so far published, the distribution of the animals into phenotypic classes
was based on a subjective appraisal of the conformation.

In the experiment we report in this paper, the degree of muscling was evaluated
by the total weight of the most important muscles. So in this study, a well defined
phenotype, measured on a metric scale, replaces a sometimes ambiguous phenotypic
trait.

The proof of the segregation of a major gene, if any, would then be the straight-
forward outcome of the inspection of the distribution of this quantitative variable
considered as an expression of the muscle hypertrophy. Furthermore, estimations
of the gene effect and of the dominance deviation for this phenotypic criterion are
then possible through the fitting of the appropriate mathematical model. Partial ac-
counts of this experiment have been presented earlier (HANSET, 1982 a, b).

II. Material and methods

The calves of both sexes were reared on the same diet (milk from the bucket)
till the final weight of 84 kg. They were then slaughtered and the halfcarcasses
dissected. The average final weight was in fact 83.9 kg (S = 4.0) and the final age
82.1 days (S = 25.3).

These calves belonged to the following genetic types :

1) dairy (European Friesian) — D — (n = 5) ;

2) double-muscled (Belgian White and Blue) — DM — (n = 30), born from
double-muscled cows bred to 3 double-muscled A.I. sires (from sire De, n = 10 ;
from sire Na, n = 8 ; from sire Te, n = 12) ;

3) first-cross — F₁ — (n = 7) ; born from Friesian cows bred to sire De ;

4) backcross — BC — (n = 60) : F. cows (14 daughters of sire De and 20 daugh-
ters of sire Te) were bred to their respective fathers De (n = 21) and Te (n = 23)
and to 2 other double-muscled bulls : Na (n = 12) and Ch (n = 4).
All these sires belonged to the Belgian White and Blue breed and are of the double-muscled type. These F₁ cows had a typical dual-purpose phenotype. The calves from the sires De and Na were dissected between 1972 and 1978 and the calves from the sires Te and Ch between 1979 and 1984. The calves were reared in the constant environment of an experimental station, throughout the entire period.

The muscling criterion is the sum of the weights (in the left half-carcass) of the most significant muscles, their share in the whole musculature amounting to 75 p. 100 approximately. Each total muscle weight was adjusted to a common final weight of 84 kg.

The following muscles or groups of muscles are included in this sum:

- Neck region: Rhomboideus, Splenius, Semispinalis capitis, Spinalis dorsi, Longissimus dorsi.
- Thorax region: Latissimus dorsi, Pectorales superficialis et profundi, Serratus ventralis.
- Thoracic limb: Supraspinatus, Infraspinatus, Teres minor, Deltoides, Subscapularis, Teres major, Biceps brachii, Brachialis, Triceps brachii (caput longum, laterale), Anconeus.
- Pelvic limb: Gluteus medius, Tensor fasciae latae, Biceps femoris, Vastus lateralis, Rectus femoris, Vastus medialis, Semitendinosus, Sartorius, Gracilis, Semimembranosus, Pectineus, Adductor femoris, Gastrocnemius, Extensor group, Flexor group, Psoas major, Psoas minor, Iliacus.

A detailed study of the hypertrophy of single muscles will be presented in an independent paper.

The data of both sexes were pooled. There was no difference between sexes regarding the total muscle weight, as a consequence of the constraint of the common final weight. The normality of the frequency distributions was tested by the KOLMOGOROV-SMIRNOV procedure D (Durbin's version) for samples of size greater than 50 and by the W test (SHAPIRO & WILK, 1965) for samples of size smaller than 50, this latter test being in this instance more powerful than the former (STEPHENS, 1974).

The Statistical Analysis System (SAS) package was used to perform these tests. The homogeneity of variance was tested by the Bartlett's test (SNEDECOR & COCHRAN, 1980).

On the other hand, in the case of the backcross data, the sample obtained can be considered as a random sample of a mixture with proportions p and q of two univariate normal distributions with means μ₁ and μ₂ and a common variance σ².

The likelihood of the sample of size n is given by:

\[ L = \prod_{i=1}^{n} \left( p Z_{i1} + q Z_{i2} \right) \]

\[ \text{with } Z_{i} = \frac{1}{\sigma \sqrt{2\pi}} \exp \left[-\frac{(X - \mu)^2}{2\sigma^2} \right] \]
The log-likelihood of the sample becomes:

\[
\log L = \sum_{i=1}^{n} \ln (p Z_i^1 + q Z_i^2)
\]

\[
= -\frac{n}{2} \ln 2\pi - \frac{n}{2} \ln \sigma^2 + \sum_{i=1}^{n} \ln \{p \exp \left[ -\frac{(X_i - \mu_1)^2}{2\sigma^2} \right] + q \exp \left[ -\frac{(X_i - \mu_2)^2}{2\sigma^2} \right] \}.
\]

The combination of estimates (\(\mu_1, \mu_2, \sigma^2, p\)) which maximizes the log-likelihood function is found iteratively. To this end, the Maximum Likelihood Estimation Program of KAPLAN & ELSTON (1978) was used.

### III. Results and discussion

Table 1 gives, for each genetic type, the sample size, the mean, the standard deviation and for the larger classes, a test of normality of the muscling criterion defined above.

| Genetic type | n  | \(\bar{x}\) | \(S\)     | Test of Normality |
|--------------|----|-------------|-----------|-------------------|
| D            | 5  | 12.357      | 0.548     | (W) \(P < 0.063\) |
| DM           | 30 | 18.336      | 0.791     |                   |
| F1           | 7  | 14.312      | 0.920     | (D) \(P < 0.01\)  |
| BC           | 60 | 16.608      | 1.977     |                   |
| BC 1         | 28 | 14.685      | 0.969     | (W) \(P < 0.018\) |
| BC 2         | 32 | 18.290      | 0.600     | (W) \(P < 0.324\) |

[D = dairy, DM = double-muscled, F1 = first cross DM \(\times\) D; BC = backcross; (D) test; (W) test].

The distribution of the total muscle weight is graphed in figure 1: A) for the calves born from double-muscled parents (DM \(\times\) DM); B) for the calves born from the backcross to the double-muscled parent (DM \(\times\) F1).

Bimodality is very obvious for the results of the backcross. It is expressed in a large standard deviation and a highly significant test of normality. As a consequence, this distribution can be resolved into 2 distributions, either visually or by the fitting of 2 normal distributions by a maximum likelihood procedure. Both approaches lead to the same result. Considering figure 1, the cut-off point is lying between 16 and
Distributions of the muscle weight in the offspring:
A) of double-muscled parents (DM × DM);
B) of the backcross of F1 cows to double-muscled bulls (DM × F1),
(one square = one individual).

Distributions du poids des muscles dans la descendance:
A) des parents culards (DM × DM);
B) du Backross des vaches F1 avec des taureaux culards (DM × F1), (1 carré = 1 individu).
17 kg. The mean, the standard deviation and the test of normality of the 2 component distributions are given in table 1 where they are referred to as BC 1 and BC 2. The non-normality in BC 1 is due to 5 weakened animals, which reached the final weight at the average age of 116 days, far above the mean of 82 days. If the 2 observed variances for BC 1 and BC 2 are significantly different, nevertheless, the test of homogeneity of variance applied to the five estimates (D, DM, F1, BC 1 and BC 2) is not significant (0.25 > P > 0.10). Therefore, a common variance is admitted for BC 1 and BC 2 and below for the five classes.

On the other hand, the maximum likelihood estimates and their standard errors are:

\[ \mu_1 = 14.689 \pm 0.152; \quad \mu_2 = 18.285 \pm 0.143; \]
\[ \sigma^2 = 0.626 \pm 0.120; \quad p = 0.4664 \pm 0.065. \]

The antimode of this compound distribution is halfway between the 2 means, \( \mu_1 \) and \( \mu_2 \) and equal to 16.487 kg. The BC1 and BC2 means compare very well with the F1 and DM means respectively (tabl. 1).

As indicated above, the data of both sexes were pooled. The data were also pooled over years and the reason is found in figure 2 which shows the yearly variation of the average total muscle weight for the 3 classes: DM, BC 2 and BC 1.

|       | number of calves | total |
|-------|------------------|-------|
| DM    | 3 1 5 4 5 2 3 2 0 2 0 | 30    |
| BC2   | 1 3 5 5 3 1 0 1 1 2 6 4 | 32    |
| BC1   | 0 3 4 3 1 2 0 2 1 3 5 4 | 28    |

**FIG. 2**

*Yearly variation of the adjusted means of total muscle weight for the 3 classes: DM, BC 1 and BC 2 (and samples size).*

*Variation annuelle des moyennes du poids total des muscles ajusté et taille des échantillons pour les 3 classes: DM, BC 1 et BC 2.*
Bimodality is apparent because the difference between the 2 subpopulation means is greater than 4 times the common standard deviation and this is far more than the minimum requirement of 2 standard deviations (MERAT, 1967, 1968). The 2 distributions are the expression of the segregation in equal proportions of a single pair of genes as in the classical backcross to the recessive parent. It seems therefore quite reasonable to consider these 2 subpopulations as 2 genetic classes.

As no single symbol was agreed upon until now to identify this gene, we propose the symbol mh for muscular hypertrophy and + for the normal allele. Accordingly, the 3 genotypes at the mh locus are written as follows: \( mh/mh \); \( mh/+ \); \( +/+ \).

If the segregation of a single major gene is admitted, the question is then to know whether the gene for double-muscling is completely recessive or not. The gene effect and the dominance deviation were estimated through the fitting to the data of a monogenic model. Regarding their degree of muscling, the 2 breeds used in this cross — the Friesian (D) and the Belgian White and Blue (DM) — could differ not only for the gene for muscle hypertrophy but also for polygenes. Bearing this in mind, one can write down the expectations corresponding to the genetic types (tabl. 2).

The breed difference is written:

\[
DM - D = 2m + 2a,
\]

2 \( a \) stands for the difference in muscling between the genotypes \( mh/mh \) and \( +/+ \) and 2 \( m \) for the difference due to polygenes.

The expectation for the F\(_1\) mean is equal to:

\[
\mu + d, \text{ with } d \text{ for the dominance deviation.}
\]

**Table 2**

*Weighted least squares solutions and their standard errors.*

*Observed and expected means of the total muscle weight (kg) for the different genetic classes.*

*Solutions moindres carrés pondérés et leurs erreurs standard.*

*Moyennes observées et attendues du poids total des muscles (kg) des différentes classes génétiques.*

| Expectations        | Observed means (kg) | Expected means (kg) |
|---------------------|---------------------|---------------------|
| \( D = \mu - m - a \) | 12.357              | 12.357              |
| \( DM = \mu + m + a \) | 18.336              | 18.381              |
| \( F_1 = \mu + d \) | 14.312              | 14.504              |
| \( BC 1 = \mu + m/2 + d \) | 14.685              | 14.637              |
| \( BC 2 = \mu + m/2 + a \) | 18.290              | 18.248              |

\([D = \text{dairy}; \ DM = \text{double-muscled}; \ F_1 = \text{first cross DM} \times D; \ BC = \text{backcross}].\)
The Weighted Least Squares equations leading to the estimations of the elements of the model are given in the appendix. The Weighted Least Squares solutions and their standard errors are given in table 2 as well as the observed and the expected means.

The \(-m\) effect of the model is positive but not significantly different from zero. This result is unexpected but the non-significance is probably due to the small size of the samples. On the other hand, the \(-a\) and \(-d\) effects are significant. Since, the \(F_1\) cows were daughters of only 2 sires, some confounding is possible. Moreover, these estimates concern a particular criterion, the total muscle weight, measured at a given age for a given earing system.

Nevertheless, one may safely conclude that, for the criterion of muscling used in this study, the major gene for muscle hypertrophy behaves as a partially recessive gene, the first copy of the \(mh\) gene having a distinctly smaller effect than both copies (fig. 3).

The degree of overlapping of the distributions corresponding to the genotypes \(mh/+\) and \(mh/mh\) is quite small and of the order of 2 p. 100 (2 \(\times\) 1.12 p. 100). The heterozygote \((mh/+\) is near the homozygous normal \((++/+)\) and the proportion of overlapping of these two genotypes amounts to 23.4 p. 100 (2 \(\times\) 11.7 p. 100). These latter 2 genotypes exhibit the conventional conformation (fig. 3 - area at the left of the vertical line) while the heterozygote \(mh/mh\) has a distinct conformation although with varying degrees as can be inferred from the variation of the muscle weight within this class (fig. 3 - area at the right of the vertical line).
Our results support the hypothesis of a single partially recessive gene put forward previously, but on the basis of subjective data, by authors as MAGLIANO (1933), WEBER & IBSEN (1934), KIDWELL et al. (1952), HANSET (1967, 1972), ROLLINS et al. (1972), (see the review by MENISSIER, 1982).

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Appendix

Estimation by Weighted Least Squares of gene effect and dominance deviation

The residual Sum of Squares corresponding to the expectations of table 2 (see text) is given by:

\[
\begin{align*}
\sum_i (X_i - \mu + m + a)^2 + \sum_j (X_j - \mu - m - a)^2 \\
+ \sum_k (X_k - \mu - d)^2 + \sum_l (X_l - \mu - m/2 - d)^2 \\
+ \sum_m (X_m - \mu - m/2 - a)^2
\end{align*}
\]

From the partial derivatives of this sum with respect to the 4 unknowns: \(\mu, m, a, d\), the following set of Least Squares equations is obtained (\(n_i, ..., n_m\) are the numbers of individuals in each genetic class).

| Left Hand Member (LHM) | Right Hand Member (RHM) |
|------------------------|------------------------|
| \(n_i + n_j + n_k + n_l + n_m\) | \(n_i + n_j + 1/2n_i + 1/2n_j\) | \(n_i + n_j + n_m\) | \(n_k + n_l\) | \(\Sigma X_i + \Sigma X_j + \Sigma X_k + \Sigma X_m\) |
| \(-n_i + n_j + 1/2n_i + 1/2n_m\) | \(n_i + n_j + 1/2n_i + 1/2n_i\) | \(n_i + n_j + 1/2n_i\) | \(n_k + n_l\) | \(-\Sigma X_i + \Sigma X_j + 1/2\Sigma X_i + 1/2\Sigma X_m\) |
| \(-n_i + n_j + n_m\) | \(n_i + n_j + 1/2n_i + 1/2n_m\) | \(n_i + n_j + n_i\) | \(-\Sigma X_i + \Sigma X_j + \Sigma X_m\) |
| \(n_k + n_l\) | \(1/2n_i\) | \(-\Sigma X_i + \Sigma X_j + \Sigma X_m\) | \(n_k + n_l\) | \(\Sigma X_k + \Sigma X_l\) |

The residual variance, \(\sigma^2_e\), considered as being the same for all classes, is computed from the residual Sum of Squares and the standard errors of the estimates are given by \(\sigma_e \sqrt{C^{ii}}\) where \(C^{ii}\) is the corresponding diagonal elements in the inverse matrix.