Predicting Home Value in California, United States via Machine Learning Modeling

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Abstract The market value of real estate is difficult to predict with simple regression model due to the diversity and complexity of the real data. In this paper, with the latest real estate data of three counties in Los Angeles, California, United States, both linear and non-linear machine learning methods are employed to predict the log error of the home value. The motivation is to improve the accuracy in home value prediction with advanced methods. The main contribution is that it finds that traditional linear models are not predictive for complex home value data sets, while tree based non-linear models are most accurate with the lowest mean square errors.

Keywords home value; log error, linear regression; decision tree; boosting; random forest; SVM

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1. Introduction

A group of remarkable and provident pioneers set forth from Dartmouth College in the summer of 1956 and started the study of artificial intelligence (AI)[1, 2]. At first, the focus was on theoretical models. However, the interest and funding finally drained off. In the winter of AI, people never stopped thinking about the question whether a machine can think. As the developing of technology, and the emergence of large numbers of successful incidents of AI, people discovered the unreasonable effectiveness of data[3]. Unlike the standstill of the theoretical studies, people started to teach the machine to learn[4, 5, 6]. In particular, a machine is said to learn when it changes its behavior based on experience, which in most cases is the data. Without a specific model, such as the various neat physics formulas, we teach the machine to learn from the data directly. To some extent, AI was born to mimic human, but when it comes to human, stories become complex, especially for decision making[7, 8, 9]. Home, as the most important part of a person, and one of the most expensive consumption (or investment) in one’s life, undoubtedly worth a serious decision. Whether a machine can learn some aspects of such a decision-making process based on adequate information really attracts us. Zillow, founded in 2006, together with Yahoo Real Estate, create one of the largest real estate advertising networks[10, 11, 12]. Fortunately, Zillow is seeking help on improving home value estimations and is willing to share adequate real data. This paper proposes to analyze home value based on a full list of real estate properties in three counties -Los Angeles, Orange and Ventura in California USA in 2016.

Roy E. Lowrance[13] developed a linear model of residential real estate prices for 2003 through 2009 in Los Angeles County. He tested designs for linear models to determine the best form for the model as well as the training period, features, and regularizer that produce the lowest errors. And he compared the best of linear models
to random forests, the result showed that the random forests model, with minimal design work, outperformed the carefully designed local linear model. Hu et al. [14] built multivariate regression models of home prices using a dataset composed of 81 homes. They applied the maximum information coefficient (MIC) statistics to observed home values and predicted ones as the evaluation method, and found high strength of the relationship between observer and predictor. Vapnik [15] introduced three kinds of a support vector machine (SVM) such as a hard margin SVM (H-SVM), a soft margin SVM (S-SVM) and a kernel SVM. Statistical users accept SVM examined by the real data [16]. Due to high nonlinearity of the house value data, Mu et al. [17] used support vector machine (SVM), least squares support vector machine (LSSVM) and partial least squares (PLS) to forecast the values of Boston suburb houses. They found SVM and LSSVM are superior to PLS on dealing with the problem of nonlinearity, and the best performance can be achieved by SVM because of solving quadratic programming problem. All these previous work clearly indicates that non-linear models would be much better than linear regression for house value prediction.

This paper uses the data set containing all the transactions before October 15, 2016, plus some of the transactions after October 15, 2016. 58 features are given for each home, including from the count of the bedrooms and bathrooms, to the count of the pools. In short, all the home related features are provided, although some of the features contain a large number of missing values. The major goal is to predict the error between Zestimate and actual sale price. Where Zestimate home value is Zillow’s estimated market value for an individual home and is calculated for about 100 million homes nationwide. It is a starting point in determining a home’s value and is not an official appraisal. The Zestimate is automatically computed daily based on millions of public and user-submitted data points. This paper will compare the prediction results across a variety of methods and the measure is MSE. The objective is to predict the home value based on the various home features. The data provides as many as 59 properties including built of year, total area, number or bedrooms and so on. This paper will pick the important features and apply machine learning models to predict the sale price of the real estate.

2. Methods

Figure 1 plotted the percentage of missing data for each feature, which is a very important baseline when choosing features. In general, the features are classified into three parts: conditions of the estate, such as bathroom count and bedroom count; the facilities, including the pool count; location. Some features containing more than 80% of missing value are still maintained when they are explained reasonable enough. For example, although 80.2% of pool counts are missing, we may interpret as there is no pool and fill NA with 0. After refinement, there are 28 features left. The left features in condition of the estate are: bathroom count, bedroom count, bathroom count, calculated finished sqf, unit count, year build, total tax assessed value, assessed value of the built structure, assessed value of the land area, tax amount; the left features in facility are: air conditioning type, building quality type, federal information, garage count, garage total sqf, heating sys type, parking lot sqf, number of stories, pool count; the left features in location are: latitude, longitude, property land use type, county id, zip. In addition, the transaction date is converted to the days from the beginning of the year 01/01/2016, adding as another feature.

After the first step of cleaning, there are 89412 rows of data, 30 columns, which is referred to later as the preprocessed dataset. One of the column is logerror, our model response, which is defined as

\[ \log(\text{error}) = \log(Z\text{estimate}) - \log(\text{SalePrice}) \]

The goal is to predict the logerror based on all the other features. The full data set is separated into two subsets, train and test. In particular, half of the data is selected as train set and the other half as the test set. The models are trained using the same train set and test on the same test set for all methods. The task is really competitive. As Zestimate gives a rather accurate estimation to the real sale price, which leads to a very small logerror in most cases. This makes prediction task really competitive. In fact, classic linear regression and
regression tree gives no results at all: the adjusted R-square is tiny (less than 0.1) for linear regression, while the regression tree results in a single node. Upon this fact, the results are experimented and compared among linear regression model and other non-linear models. Since in the common sense, location, bedroom count, total area, are usually considered as the most important features of an estate. The large logerror (logerror>2) map with the real latitude and longitude are given in Figure 2.

This concludes the preparation of the data. However, for linear regression, tree based method and boosting, less features are preferred to improve the interpretability. So some features are deleted later on. This smaller data set will be referred to as post-processed data set. However, the experiments show that deleting features by intuition is not a good idea. This will be further explained later. Linear regression, and some non-linear models such as decision tree, boosting, random forest and SVM are used to predict the home value. The results are given in next section.

3. Results and discussion

3.1. Linear Regression

First, linear regression is run on all the features with all the preprocessed data. The adjusted R-square is 0.006, which means there is almost no linearity for the dataset and linear regression is not a valid model in this case. However, the MSE is very small as 0.026. Second, we include all the possible interactions in linear regression. The adjusted R-square is 0.03 in this case. Third, in order to improve interpretability, we further processed the data. According to some previous related work and life experience, some features like firelaceflag that barely have relationship with housing price were deleted. To do further future selection, random forest is run to see the importance of each feature variables, and the results are shown in Table 1. After deleting unimportant features, there are 16 predictors left (parcelid not included). Now the new data frame has dimension 24156 x 18. This will
be referred to as post-processed dataset.

To make sure that the left features are somewhat important, Lasso regression is processed based on the new data frame. Results show that there are no 0 coefficients. So all features are kept to do following regression approach. This result indicates that too many data are deleted. The data is scaled. It results in a very low adjusted r-square value, which is 0.007005. The result here is not surprising, since almost none of previous related work get a good result with linear regression.

3.2. Decision Tree

With decision tree technique, the best fit yield a tree with only one node. It means there is no tree structure in the data that could predict the logerror properly, although the test set MSE is low, which is 0.9903893. This is due to the nature of the data, which is error from a very accurate prediction model. With an eye on this, the logerror is converted back to real error. In order to let tree select the important features, preprocessed big data set is used, instead of the post-processed data set. The result did not reach a 3-node tree until we drop cp to 0.01. This further confirms the previous guess: except a few outliers, the original model (Zestimate) produces very accurate estimation. When dropping to cp=0.0001, it gets a finer tree with 11 nodes. However, the MSEs for the 3-node tree and 11-node tree are the same on the test set as 0.06. To compare with the other MSEs computed from other model, this MSE is computed for log error, not the real error, although this tree is done for real error. The 3-node tree and 11-node tree are shown in Figure 3.

3.3. Boosting

Based on the findings of decision tree, real error will be used instead of log error during train and prediction for boosting and random forest. As before, real error is converted back to log error when computing MSE.
Table 1. Importance of features based on random forest.

| Var Name                        | %IncMSE  | IncNodePurity |
|---------------------------------|----------|--------------|
| airconditioningtypeid          | 2.447133 | 3.24E+05     |
| bathroomcnt                    | 1.005848 | 8.02E+07     |
| bedroomcnt                     | 1.109794 | 7.70E+07     |
| buildingqualitytypeid          | 1.012918 | 2.49E+07     |
| threequarterbathnbr            | 2.485928 | 4.05E+05     |
| calculatedfinishedsquarefeet   | 1.439264 | 1.90E+07     |
| fps                             | -1.27736 | 2.14E+04     |
| garagecarcnt                   | 0.919216 | 1.10E+05     |
| garagetotalsqft                | 1.32203  | 4.94E+05     |
| heatingorsystemtypeid          | 2.260755 | 3.77E+05     |
| latitude                       | 1.579391 | 2.47E+08     |
| longitude                      | 1.579391 | 2.47E+08     |
| lotsizesquarefeet              | -0.42907 | 1.39E+08     |
| numberofstories                | 0.945492 | 7.83E+04     |
| poolcnt                        | 1.005008 | 4.41E+06     |
| propertylandusetypeid          | 3.252004 | 5.18E+07     |
| regionidcounty                 | 1.870572 | 1.27E+04     |
| regionidzip                    | 1.49235  | 1.62E+08     |
| roomcnt                        | 1.84014  | 8.19E+03     |
| unitcnt                        | 1.130528 | 3.85E+03     |
| yearbuilt                      | -1.19019 | 3.06E+08     |
| taxvaluedollarcnt              | 2.964133 | 4.75E+08     |
| structuretaxvaluedollarcnt     | 0.09749  | 1.03E+08     |
| landtaxvaluedollarcnt          | 1.549734 | 3.84E+08     |
| taxamount                      | 2.062259 | 4.58E+08     |
| datediff                       | -1.0176  | 1.62E+08     |

Although boosting is reported as the third method, it actually is conducted at the very beginning to select important features. In the first experiment, number of trees is set to 100. The three most important features are: taxamount, landtaxvaluedollarcnt, taxvaluedollarcnt, showing some coincidence with the tree based method. The MSE on the test set is 0.21. Then the number of trees is increased. Constrained by the computation budget, we stopped at number of trees equals to 1000. The MSE is improved to 0.14. Boosting is also experimented on the post-processed data. The result is very much worse. With number of trees equals to 100, test set MSE is 0.989136. If we tune the number of trees to 5000, the variable impotence is similar with number of trees equals to 100, but the test MSE became slightly higher, which is 0.9901177. Considering the performance not changing a lot with the tuning of number of trees and computing complexity, we stopped tuning the boosting model.

### 3.4. Random Forest

The performance of random forest is surprisingly good. We reach a test MSE of 0.08 with only 100 trees. Summaries of this method is reported in Figure 4. However, for the post-processed data, test set MSE is 1.023534.

### 3.5. SVM

Recall the large error map provided in the data visualization part. The error displays some subtle clustering property. This indicates SVM might be a good method, especially the radial kernel. In the end, this method, although computationally expensive, does provide a dramatic improvement compared to all the previous methods. The cost
Notations for internal nodes of 11-node decision tree.

- a: propertylandusetypeid=31,246,247,248,260,264,265,266,267,275.
- b: structuretaxvaluedollarcnt < 3.126e+05.
- c: structuretaxvaluedollarcnt = 3.163e+05.
- d: structuretaxvaluedollarcnt < 6.103e+05.
- e: structuretaxvaluedollarcnt >= 6.114e+05.
- f: calculatedfinishedsquarefeet = 268.5.
- g: latitude = 3.335e+07.
- h: taxamount < 2.833e+04.
- i: taxamount = 2.856e+04.
- j: airconditioningtypeid=0.

Figure 3. (a) 3-node and (b) 11-node decision trees.

The MSE for each method is summarized in Table 2 and Figure 5.

The predicted error versus the actual response is plotted in Figure 6. The graph is only provided for SVM as this graph is similar for all the methods. The V-shape of the absolute error plot indicates that our prediction only works well when the original estimation (Zestimate) is already accurate. When the original Zestimate is

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Figure 4. Summary of random forest with preprocess data set.

Figure 5. Visualized summary of MSE for each method.
Table 2. Summary of MSE for each method.

| method          | MSE       |
|-----------------|-----------|
| linear regression | 0.026     |
| tree            | 0.06      |
| boosting        | 0.21      |
| random forest   | 0.08      |
| SVM             | 0.024     |
| Baseline (sample variance) | 0.025 |

problematic, our estimation will fail to predict. Moreover, the methods above tend to underestimate the Zestimate prediction error. No method stands out. To some extent, it may conclude that Zestimate does provide a relative accurate prediction.

![Figure 6. Predicted error versus the actual response.](image)

Through this experiment, it also concludes that feature selection is a very important process. Deleting features with intuition can be very dangerous. To this end, tree-based methods are very useful when facing a model with large number of features in home value prediction.

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PREDICTING HOME VALUE IN CALIFORNIA, UNITED STATES VIA MACHINE LEARNING MODELING

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