Prediction of the Influence of Runner Tip Clearance on the Performance of Tubular Turbine

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Abstract: Tubular turbine is a type of turbine with low-head. Due to the fact that the runner of a tubular turbine is of axial-flow type, there will be a certain width of blade tip between the blade and the chamber. In order to explore the influence of tip clearance width on the flow inside the turbine, taking the model tubular turbine as the research object, six different tip clearance widths were compared and analyzed. The research shows that the increase in blade tip clearance width affects the performance of the turbine, reduces the minimum pressure at blade tip and causes cavitation in advance. Larger tip clearance width significantly increases pressure pulsation intensity inside the turbine, especially in the vaneless region between the runner and guide vane and the area of the runner tip. However, the increase in tip clearance width can greatly reduce the axial force for about 100 N and radial excitation force for about 50% of rotating parts. Therefore, during the design and processing of tubular turbines, the blade tip clearance width should be carefully selected to ensure safe and stable operation of the unit.

Keywords: tubular turbine; tip clearance; tip leakage flow; pressure pulsation; runner force

1. Introduction

Tubular turbines are used for low-head hydropower stations. It has a large size and suits large flow rate and low rotational speeds [1–3]. Therefore, the tubular turbine is currently adopted as the turbine type for marine energy utilization. Due to the fact that bladed turbomachinery is reversible, the tubular turbine can operate in different modes. It can generate electricity at rising and falling tides in turbine modes. The pump modes are also feasible for energy storage. The highest efficiency condition is the turbine mode when a reservoir’s water level is higher than seawater levels. Water flows through upstream passage, guide vane, runner and downstream passage. High efficiency and good stability are required [4–6].

The runner of a tubular turbine is of the axial-flow type, and the runner blade is in cantilever form. Therefore, there are always two problems. One is stress and structural strength of runner blade: When the tubular turbine is operating, the runner blade suffers alternate forces. It will cause s variation in stress on the blade and may cause fatigue failure [7–10]. With the development of the finite element method, numerical simulation analysis has gradually replaced experiments and has become the main means for studying the dynamic stress of turbo machinery. In recent years, researchers have not performed
much research on the dynamic stress analysis of blades of tubular turbine, but have conducted research on similar cantilever blade rotating machinery [11–14]. Fan et al. [15] conducted numerical simulation calculation and analysis on the operation of the blades of axial flow pumps under different rotating speed conditions and found that the cantilever blade root is prone to fracture, and the deformation of the blade tip is large and can easily occur, which is not conducive to the safe and stable operations of the unit. Another problem includes unstable tip leakage flow. The tip clearance width between the runner blade and runner chamber is small. There will be high speed vortical tip leakage flow. It will cause cavitation due to local low pressure. It will also cause flow field pulsation and induce the pulsation of turbine performance [16]. For the flow loss and flow field state caused by a tip leakage vortex, early research mainly focused on the hydrofoil. Due to spatial limitations of clearance flow fields, hydrofoils are simplified models of the blade. The study of hydrofoil tip clearance flow field can provide a theoretical basis for the design of turbo machinery blade tip clearance [17–20]. Dreyer and Decaix et al. [21,22] analyzed the tip leakage vortex (TLV) structure and strength of hydrofoil flow field with different tip clearance widths by using an experimental method and numerical simulation, respectively. The research shows that the larger the leakage vortex strength, the lower the vortex center pressure, and the tip leakage vortex has an obvious impact on the surrounding flow field structure. Therefore, the tip clearance width corresponding to the maximum vortex strength of hydrofoil tip flow field is obtained. It provides a reference for the design of blade tip clearance width of the unit. According to the relevant research results of hydrofoil, researchers have conducted in-depth research on blade-tip clearance and tip leakage vortex (TLV) of a tubular turbine unit [23–25]. It was found that tip clearance flow field is affected by many factors [26–28], such as blade geometry, internal flow characteristics, operating conditions and so on. Similarly, because the tip clearance position is special and the space is narrow, it is very difficult to test. Therefore, the application of numerical simulation technology in the study of tip leakage vortex (TLV) can effectively make up for the difficulties and shortcomings of the experiment. Li et al. [29] analyzed the physical characteristics of the leakage flow of the tip clearance of the tubular turbine by means of numerical simulation. The results show that the tip clearance width is directly proportional to the axial velocity, momentum and flow of the tip leakage vortex and inversely proportional to turbulent flow energy. Therefore, the blade-tip clearance of the tubular turbine should be reduced as much as possible in order to reduce the strength of the leakage vortex.

Due to the difficulties in manufacturing and installation, the runner-tip clearance width of tubular turbine is very crucial [30–35]. Starting from conventional thinking, a relatively small gap is conducive for reducing loss and improving efficiency. However, it causes local low pressure, which is undesirable for anti-cavitation. It will also increase the risk of collisions between the runner and chamber if installation eccentricity is high. On the contrary, a relatively large tip clearance can cause a drop in efficiency and power. This is because the blade working area is smaller. Flow can become out of control, which is a potential risk in inducing strongly pulsating flows.

Currently, research mainly focuses on the mechanism of tip leakage vortex, and its applications in engineering and the impact of practical engineering have not been clearly explained. In order to have produce improved operation performance, stability and security of the tubular turbine in the turbine mode, it is necessary to evaluate the influence of runner tip leakage widths. In this study, the influence of different blade tip clearance widths on the internal flow of tubular turbine is analyzed in detail. In order to reduce financial costs, computational fluid dynamics (CFD) can be used in evaluating runner torque, flow rate, forces on runner and the surrounding turbulent flow field. This study is based on both CFD simulations and model experiments, and the influence of the runner tip leakage width in the high efficiency turbine mode is in-depth discussed; the visualization of internal flow characteristics of a tubular turbine is realized, which has a clear guiding significance for engineering.
2. Research Object

This study takes a model turbine of tubular turbine as the research object and analyzes the influence of different blade tip clearance widths \((h_{TC})\) on internal flow characteristics of the turbine. Figure 1 is the flow passage of tubular turbine studied in this paper. Figure 1a, b, respectively, show the three-dimensional flow passage and radial flow passage of the turbine. Coordinate \(Z\) represents the axial direction, and coordinate \(R\) represents the radial direction. Water enters the flow passage through the inlet and flows through two parts, guide vane (number of blades is 16) and runner (number of blades is 4), and finally flows out of the outlet flow passage. Figure 1c shows the tip clearance position between the runner and the chamber concerned in this study.

![Figure 1. Passage and blade tip clearance of tubular turbine. (a) represents the three-dimensional flow passage of the turbine. (b) represents the radial flow passage of the turbine. (c) represents the tip position between the runner and the chamber.](image)

The main parameters of the tubular turbine are shown in Table 1, including rated rotation speed \(n_r\), rated head \(H_r\), rated power \(P_r\) and rated efficiency \(\eta_r\), where the specific speed \(n_s\) is a dimensionless number, and the expression is described as follows.

\[
n_s = \frac{n_r \sqrt{P_r}}{H_r^{5/4}}
\]

Table 1. Main parameters of model tubular turbine.

| Main Parameters                  | Value     | Unit  |
|----------------------------------|-----------|-------|
| Rated Rotation Speed \(n_r\)     | 1043      | (r/min) |
| Rated Flow Rate \(Q_r\)         | 1.07      | (m³/s) |
| Rated Shaft Power \(P_r\)        | 58.53     | (kW)   |
| Rated Head \(H_r\)              | 6         | (m)    |
| Rated Efficiency \(\eta_r\)     | 91.85%    | (-)    |
| Runner Diameter \(D\)           | 0.4       | (m)    |
| Tip Clearance Width \(h_{TC}\)  | 1         | (mm)   |
| Unit Rotation Speed \(n_{11}\)  | 2.733     | (-)    |
| Unit Flow Rate \(q_{11}\)       | 170.33    | (-)    |
| Specific Speed of Runner \(n_s\)| 854.63    | (-)    |
Unit flow rate \( q_{11} \) and unit rotation speed \( n_{11} \) are introduced to ensure the accuracy of the model turbine. The expressions are respectively expressed as follows:

\[
q_{11} = \frac{Q_r}{D^2 \sqrt{H_r}} \quad (2)
\]

\[
n_{11} = \frac{n_r D}{\sqrt{H_r}} \quad (3)
\]

where \( n_r \) represents the design rotation speed, \( \tau/\text{min} \), \( P_r \) represents the design shaft power, \( \text{kW} \), \( H_r \) represents the design head, \( \text{m} \), and \( D \) represents the runner diameter of the turbine, \( \text{m} \).

3. Computational Domain Discretization and CFD Settings

In this study, the ANSYS platform commonly used in the numerical simulation of hydraulic machinery in fluid engineering is used to carry out the numerical simulation.

3.1. Grid Division and Validation

Before numerical simulation, firstly, the fluid domain of turbine is discretized. A hexahedral structure grid is adopted in the inlet section, guide vane section and outlet section. Due to the need to consider the clearance at the blade tip of the runner, the fluid domain is much more complex; thus, a tetrahedral unstructured grid is used to mesh the runner. Local densification shall be carried out at a location with small area and large curvature, and densification shall be set for the blade-tip clearance of the blade.

Due to the fact that the number and quality of grids are important reasons affecting the solution time and accuracy of CFD simulation, too many grids will consume too many computing resources and too few grids cannot meet the requirements of solution accuracy. Therefore, the grid convergence index (GCI) method [36,37] recommended by the American Society of Mechanical Engineers (ASME) was used to analyze grid convergence. Three different grid schemes of coarse, medium and fine are obtained by using different encryption strategies. The number of grid nodes is shown in Table 2. The efficiency \( \eta \) of turbine under rated working condition is selected as the key variable for error evaluation, and the safety factor is \( F_s = 1.33 \). Finally, GCI values between coarse grid and medium grid and between medium grid and fine grid are obtained (see Table 2 for specific results). Figure 2 shows efficiency \( \eta \) value predicted by the three grid schemes and the \( \eta \) value obtained by Richardson extrapolation in which the grid refinement factor of fine grid is set as 1.0. Combined with the results in Figure 2 and Table 2, it can be observed that the above grid schemes can meet the convergence requirements in internal flow analysis and calculation of the tubular turbine. Therefore, in order to better simulate the internal flow of tubular turbines, the medium grid scheme with 3,740,402 grid nodes is selected. The specific grid division results are shown in Figure 3.

Table 2. The number of grid nodes and error evaluation results of GCI method.

| Grid Schemes   | Nodes     | Grid Refinement Factor | Fine-Grid Convergence Index |
|---------------|-----------|------------------------|----------------------------|
| Coarse Grid   | 1,449,192 | 1.338                  | 1.127%                     |
| Medium Grid   | 3,470,402 | 1.304                  | 0.255%                     |
| Fine Grid     | 7,696,901 |                        |                            |
For both steady and unsteady numerical simulation settings, the Shear Stress Transfer (SST) $k-\omega$ model was used as the turbulence model. The fluid material is set as water at 25 °C, and the reference pressure is set to 1 atm. For boundary conditions, the settings are as follows: The inlet of the calculation domain is set as total pressure, the outlet is set as static pressure and the pressure is set as 0 Pa. All solid wall boundaries are set as non-slip walls. The calculation domains are connected by an interface, a multi-reference frame model (MRF) is adopted and the dynamic–static interface is set between rotating parts and fixed parts. In steady calculation, the maximum iteration steps are set to 2000, and the convergence residual is set to $10^{-5}$ to ensure the accuracy of the steady calculation results.

In the unsteady calculation setting, a total of 20 rotation periods were simulated, each rotation period is set to 360 timesteps, the maximum iteration number of each time step is set to 20 and the convergence residual is also set to $10^{-5}$.

3.3. Experimental-Numerical Verification

The CFD numerical simulation results of tubular turbine under rated working condition are compared with the experimental results, which is a model test on a hydraulic test rig shown in Figure 4a. The photo of the experiment is shown in Figure 4b, which mainly shows the pipeline part of the test rig. The comprehensive efficiency test accuracy of the model test carried out on the test-rig is ±0.25%. Table 3 lists the name and accuracy of the experimental equipment.
Table 3. Device name and precision of test rig.

| Tested Parameters | Device Name     | Precision   |
|-------------------|-----------------|-------------|
| Flow Rate         | Electromagnetic Flowmeter | ±0.18% |
| Rotation Speed    | Rotary Encoder  | ±0.02%      |
| Shaft Power       | Torque Meter    | ±0.05%      |
| Pressure          | Pressure Sensor | ±0.1%       |

The head, flowrate, torque and efficiency are four main parameters of the tested turbine. Head $H$ is measured by pressure difference sensors installed at the inlet and outlet of turbine. Flowrate $Q$ is measured based on the electromagnetic flowmeter. Torque $M$ is measured by torque meter for calculating shaft power $P$ by $P = M \cdot r_{w}$, where $r_{w}$ is the rotational angular speed. Efficiency $\eta$ can be calculated by $\eta = P / \rho g QH$. For a better comparison, experimental results $\Phi_E$ are recognized by 1.0. Numerical simulation results $\Phi_N$ are the ratio between them and the experimental results $R_{NE}$, which can be expressed as $R_{NE} = \Phi_N / \Phi_E$.

The comparison results are shown in Table 4. It can be observed from the table that the relative error between the results obtained by the grid division scheme and numerical simulation setting scheme adopted in this study and the experiment is small. Simulation accuracy can meet the engineering requirements, which provides a reliable calculation scheme for subsequent analysis.

Table 4. Comparison of experimental results and CFD results.

| Parameters       | Experimental Value | CFD Value  | Error   |
|------------------|--------------------|------------|---------|
| Flow Rate (m$^3$/s) | 1.07               | 1.02       | 4.91%   |
| Shaft Power (kW)  | 58.53              | 55.38      | 5.38%   |
| Efficiency (%)    | 91.85              | 92.13      | 0.3%    |

4. Influence of Different Tip Clearance Widths ($h_{TC}$) on Internal Flow

4.1. Influence of Different Tip Clearance Widths ($h_{TC}$) on Turbine Performance

In view of the influence of $h_{TC}$ of the runner blade on the performance of tubular turbine, numerical simulation calculation and analysis are carried out four $h_{TC}$ of 0 mm, 0.2 mm, 0.4 mm, 0.6 mm, 0.8 mm and 1.0 mm, respectively. The performance results of turbines corresponding to each clearance condition are shown in Figure 5.
0.2 mm, 0.4 mm, 0.6 mm, 0.8 mm and 1.0 mm, respectively. The performance results of different average leakage velocity \( V \) and average leakage velocity \( V_{\text{in-runner}} \) to the total inlet flowrate \( Q_{\text{in}} \) and runner leakage flowrate \( Q_{\text{leak}} \) on runner leakage flowrate \( Q_{\text{leak}} \) corresponding to different \( h_{TC} \) to the total inlet flowrate \( Q_{\text{in}} \) under various \( h_{TC} \) conditions and the ratio of the average leakage velocity \( V_{\text{leak}} \) to the average velocity \( V_{\text{in-runner}} \) at the inlet of the turbine runner are used as dimensionless treatment, as shown in Figure 6. The selection method of flow passage section in the tip clearance is the closed section formed by the chord line of blade tip airfoil profile and its projection line on the inner wall of chamber, as shown in Figure 7.

4.2. Influence of Different Tip Clearance Widths(\( h_{TC} \)) on Flow Pattern

In order to further explore the characteristics of \( h_{TC} \) flow field of tubular turbine, the above six conditions of \( h_{TC} \) are analyzed, and the effects of different \( h_{TC} \) on the internal flow of tubular turbine and the flow field in runner are compared.

4.2.1. Analysis of Leakage Flowrate and Average Leakage Velocity Caused by Tip Clearance

In order to analyze the influence of different \( h_{TC} \) on runner leakage flowrate \( Q_{\text{leak}} \) and average leakage velocity \( V_{\text{leak}} \), the ratio of the leakage flowrate \( Q_{\text{leak}} \) corresponding to different \( h_{TC} \) to the total inlet flowrate \( Q_{\text{in}} \) under various \( h_{TC} \) conditions and the ratio of the average leakage velocity \( V_{\text{leak}} \) to the average velocity \( V_{\text{in-runner}} \) at the inlet of the turbine runner are used as dimensionless treatment, as shown in Figure 6. The selection method of flow passage section in the tip clearance is the closed section formed by the chord line of blade tip airfoil profile and its projection line on the inner wall of chamber, as shown in Figure 7.

![Figure 5. Influence of different \( h_{TC} \) conditions on turbine performance.](image-url)

It can be observed from the figure that \( h_{TC} \) of runner blade has a prominent impact on the external characteristics of a tubular turbine unit. Under the rated working condition, with the gradual increase in \( h_{TC} \), the shaft power and efficiency of tubular turbine decrease first and then increase. When \( h_{TC} \) reaches 0.8 mm, the shaft power and efficiency of the unit reach the lowest value. However, with a further decrease in \( h_{TC} \), when \( h_{TC} \) reaches 1.0 mm, shaft power and efficiency increase significantly, which shows that under rated working conditions, \( h_{TC} \) greatly affects the flow field structure in the turbine, resulting in more complex flow. Therefore, it is necessary to further analyze the internal flow state of the turbine in order to understand the influence of tip clearance on the internal flow of the turbine.

Generally, the blade tip clearance of tubular units may reduce the efficiency by about 0.5% [34,35]. It can be observed from Figure 5 that in the process of \( h_{TC} \) changing from 0 mm to 1.0 mm, the lowest efficiency occurs at \( h_{TC} = 0.8 \) mm. At this time, the efficiency of the turbine decreases by about 1% compared with the efficiency of the model test. Meanwhile, when \( h_{TC} = 0 \) mm, the efficiency of the turbine increases significantly compared with the model test with tip clearance because flow loss caused by clearance leakage vortex (TLV) is not considered. It can be observed that in the CFD numerical simulation, for the tubular unit, the existence of tip clearance needs to be considered in calculating the performance to ensure the accuracy of prediction.
The functional relationship between leakage flow and average leakage velocity for different h_TC conditions can also be obtained by curve fitting. The relationship between the two groups of functions is shown in Table 5 below.

| Function | y = a + bx |
|----------|------------|
| Q_leak/Q_in (%) | h_TC (mm) |
| V_leak/V_in-runner (%) | h_TC (mm) |

4.2.2. Comparison of Leakage Vortex Morphology

In order to compare and analyze the pressure distribution of suction sides under different h_TC conditions and compare the morphological changes of tip leakage vortex...
at each $h_{TC}$, it is necessary to normalize pressure data and express the results with the pressure coefficient $C_p$, which can be expressed as follows:

$$C_p = \frac{p}{\rho g H}$$

(4)

where $p$ represents the pressure at the suction side, Pa; $\rho$ represents the density of the medium, m$^3$/s; and $H$ represents the water head under this working condition, m.

Due to similar flow field characteristics between blade passages, Figure 8 takes a single blade as an example and uses the contour surface of $\lambda_2 = -1.714 \times 10^5$ s$^{-2}$ to show the vortex shape near the blade tip as well as the pressure coefficient distribution contour map on the suction side of the blade and the blade tip (there is no $C_p$ distribution on the blade tip when $h_{TC}$ is 0 mm).

Figure 8. Tip leakage vortex patterns under different $h_{TC}$ conditions (LE-leading edge; TE-trailing edge; SS-suction side; PS-pressure side; TLV-tip leakage vortex). (a) represents $h_{TC} = 0$ mm, (b) represents $h_{TC} = 0.2$ mm, (c) represents $h_{TC} = 0.4$ mm, (d) represents $h_{TC} = 0.6$ mm, (e) represents $h_{TC} = 0.8$ mm, (f) represents $h_{TC} = 1.0$ mm.
It can be observed from Figure 8 that when there is a clearance at the tip of the runner blade, there is an obvious tip leakage vortex on the suction side of the blade tip. When $h_{TC}$ is small ($h_{TC} = 0.2$ mm), tip leakage vortex is relatively weak. Meanwhile, the tip leakage vortex at the tip of the blade suction side is divided into two parts, namely, the main vortex area generated from the tip of the leading edge of the blade leading-edge and the vortex area at the tip of the blade trailing edge. With the continuous increase in $h_{TC}$, both vortices gradually strengthen and develop forward and backward, respectively. Finally, at the blade tip, when $h_{TC}$ reaches 0.8 mm, two vortices are connected into one, forming an entire tip leakage vortex shape. Similarly, for the pressure distribution on the suction side and tip of the blade, it can be observed that tip clearance has a weak impact on the pressure distribution on the suction side of the blade. During the process of $h_{TC}$ from 0 mm to 1.0 mm, the pressure distribution on the suction side of the blade maintains a similar distribution state; that is, there are obvious low-pressure areas in the second half of the blade tip and the middle part of the bottom of the blade.

4.2.3. Comparison of Streamline and Turbulent Kinetic Energy

In order to further analyze the influence of $h_{TC}$ on the tip leakage of tubular turbine, one circumferential section is intercepted at the chord length of turbine runner blade of 90% from the blade leading-edge, which is named Section 0.9, as shown in Figure 9. By using numerical simulation, the turbulent kinetic energy ($k$) distribution and streamline distribution of the section of tubular turbine under different $h_{TC}$ are obtained. With the help of the streamline on the circumferential section, the vortex motion state in the rotating plane can be reflected, as shown in Figure 10.

![Figure 9. Location of Section 0.9.](image)

According to the research before, the existence of tip clearance will affect about 20% of the area in the flow channel. Moreover, the turbulent kinetic energy at the tip clearance will appear in an obvious high value area in the low-pressure area of the blade. It will increase significantly with the increase in the blade tip clearance width at the blade tip [18,35]. Combined with this study, it can be observed from the figure that, under the rated working condition, the leakage flow passes through the blade tip from the pressure side to the suction side of the blade under the action of the pressure difference between the pressure side (PS) to the suction side (SS) of the blade and forms a separation vortex structure at the blade tip on the suction side of the blade. On the Section 0.9, which is 90% away from the leading edge of the blade, due to the full development of turbulence, the intensity of turbulent kinetic energy ($k$) is significantly enhanced, and a large area of high turbulent kinetic energy ($k$) area appears at the chamber, which has a great impact on the mainstream in the runner passage. According to Figure 10, the influence of different $h_{TC}$ on the circumferential section of Section 0.9 is analyzed. It can be observed that with the continuous increase in $h_{TC}$, the high turbulent kinetic energy ($k$) area increases significantly, mainly extending upstream of the blade suction side, forming a narrow and long high turbulent kinetic energy ($k$) zone, which is consistent with existing relevant research conclusions. Meanwhile, when $h_{TC}$ is
small, the separation vortex structure in the passage at the suction side of the blade does not develop completely on the Section 0.9 section, and the streamline in this area does not show a more obvious vortex structure. However, with the increase in $h_{TC}$, after $h_{TC}$ reaching 0.6 mm, the vortex structure near the suction side of the blade becomes clear, and the separation vortex develops completely. Therefore, the increase in $h_{TC}$ is conducive to the development of the tip separated vortex, and a larger $h_{TC}$ will significantly affect the mainstream flow in the runner. Generally, the enhancement of tip leakage vortex (TLV) mainly affects the flow state at the chamber, and its influence range on the overall flow is strongly related to the strength of tip leakage vortex (TLV).

\begin{figure}[h]
\centering
\includegraphics[width=\textwidth]{streamline_tk.png}
\caption{Streamline and turbulent kinetic energy($k$) distribution of circumferential section in front of blade tip at Section 0.9 under different $h_{TC}$ conditions. (a) represents $h_{TC} = 0$ mm, (b) represents $h_{TC} = 0.2$ mm, (c) represents $h_{TC} = 0.4$ mm, (d) represents $h_{TC} = 0.6$ mm, (e) represents $h_{TC} = 0.8$ mm, (f) represents $h_{TC} = 1.0$ mm.}
\end{figure}

4.2.4. Comparison of the Pressure Distribution, Turbulent Kinetic Energy and Turbulence Eddy Frequency

In order to further quantify and analyze the flow field of tip clearance under different $h_{TC}$, a monitoring line is intercepted at the chord length of turbine runner blade of 90% from the leading edge of blade for analysis, which corresponds to the location of Section 0.9 and named Monitoring Line 0.9. The location of the monitoring line varies slightly according to different $h_{TC}$, which is mainly reflected in the fact that the monitoring line is arranged in the middle of the tip clearance, and the location of the monitoring line is shown in Figure 11. Monitoring Line 0.9 takes the positive X direction as the zero point and rotates one circle along the circumference according to the rotation direction of the runner.
The circumferential pressure distribution distribution of Monitoring Line 0.9 is obtained, as shown in Figure 12, which takes the positive X direction as the zero point and rotates one circle along the circumference according to the rotation direction of the runner. It can be observed from the figure that the circumferential pressure distribution of the four blade chambers with different $h_{TC}$ is basically the same. In one rotation of the runner, the circumferential pressure of the monitoring line shows four obvious periods corresponding to the number of runner blades. The pressure starts to rise gradually in the flow channel at the suction side of the blade and reaches the highest when entering the blade tip clearance. After leaving the tip clearance, the pressure rapidly decreases to the lowest point of the period, and then starts a new round of rise so as to go back and forth.

The main influence of different $h_{TC}$ on circumferential pressure distribution of the chamber is shown in the lowest circumferential pressure at Monitoring Line 0.9, which is mainly shown as that with the continuous increase in $h_{TC}$. The minimum axial pressure at Monitoring Line 0.9 (i.e., blade tip) decreased significantly. When $h_{TC}$ increased from 0 mm to 1.0 mm, the minimum circumferential pressure $C_{pmin}$ decreased from $-2$ to about $-2.4$, greatly increasing the risk of tip vortex cavitation.

Distribution of Circumferential Turbulent Kinetic Energy

The circumferential turbulent kinetic energy ($k$) distribution on Monitoring Line 0.9 is obtained, as shown in Figure 13, which takes the positive X direction as the zero point and rotates one circle along the circumference according to the rotation direction of the runner. The overall form of turbulent kinetic energy ($k$) at the chamber is much simpler than that of pressure. It only rises significantly at the blade tip clearance, and then decreases to about...
0.3 m²/s² after leaving the gap. Similarly, for different \( h_{TC} \), it can be observed that the size of \( h_{TC} \) has little effect on the peak value of turbulent kinetic energy (\( k \)) at blade tip.

![Graph](image1)

**Figure 13.** Circumferential turbulent kinetic energy (\( k \)) of different \( h_{TC} \) conditions at Monitoring Line 0.9.

3. Distribution of Circumferential Turbulence Eddy Frequency

A circumferential turbulence eddy frequency (\( \omega \)) distribution on the Monitoring Line 0.9 is obtained, as shown in Figure 14, which takes the positive \( X \) direction as the zero point and rotates one circle along the circumference according to the rotation direction of the runner. The distribution of turbulence eddy frequency (\( \omega \)) of the monitoring line is consistent with that of turbulent kinetic energy (\( k \)). However, different \( h_{TC} \) conditions have a great impact on the turbulence eddy frequency (\( \omega \)). In the process of \( h_{TC} \) increasing from 0 mm to 1.0 mm, the turbulence eddy frequency (\( \omega \)) of Monitoring Line 0.9 decreased significantly, and the turbulence eddy frequency (\( \omega \)) of Monitoring Line 0.9 decreased from 2 × 10⁵ to 5 × 10⁴, which decreased by about 80%. Based on the above analysis of the separated vortex structure and turbulent flow field, it can be observed that the energy losses and dissipation of the blade tip are very serious when \( h_{TC} \) is small; thus, it is impossible to form a stable and separated vortex at the blade tip. However, after \( h_{TC} \) increases, the turbulence eddy frequency (\( \omega \)) near the blade tip decreases significantly, and the energy loss and dissipation near the blade tip clearance also decreases significantly. Therefore, the separated vortex structure at the blade tip is cannot be easily damaged, resulting in a very obvious vortex structure.

![Graph](image2)

**Figure 14.** Circumferential turbulence eddy frequency (\( \omega \)) under different \( h_{TC} \) conditions at Monitoring Line 0.9.
5. Influence of Different Tip Clearance Widths ($h_{TC}$) on Unsteady Flow Characteristics

5.1. Influence of Different Tip Clearance Widths ($h_{TC}$) on Internal Pressure Pulsation

Unsteady numerical simulation calculation and analysis of the internal flow of tubular turbine are carried out for different $h_{TC}$. Unsteady numerical simulation is carried out for three different clearance conditions of 0 mm, 0.6 mm, and 1.0 mm.

In order to analyze internal flow transient characteristics of the rotating parts, fixed parts and blade tip clearance of the turbine, a series of monitoring points is set in the flow passage of each part in the turbine. The location arrangement of the monitoring points is shown in Figure 15, in which Figure 15a is the location of the monitoring points at the inlet and outlet section, Figure 15b is the three-dimensional location of the monitoring points at the runner and guide vane and Figure 15c is the two-dimensional projection position of the monitoring points of the runner and guide vane. In the figure, $P_{ij}$ represents the name of the monitoring point, i from 1 to 11, representing the axial position sequence of the monitoring point from the inlet through the guide vane and runner to the outlet; j from 1 to 3 represents the radial position sequence from the chamber to the hub. $P_{71}$ is a special monitoring point, which is located in the middle of the blade tip clearance of the runner blade. Therefore, there is no $P_{71}$ monitoring point under the calculation condition with an $h_{TC}$ of 0 mm.

![Figure 15](image)

**Figure 15.** Layout of monitoring points for unsteady calculation. (a) The layout position of monitoring points at the inlet and outlet section, (b) the three-dimensional position of monitoring points at the runner and guide vane part and (c) the two-dimensional projection position of monitoring points at the runner and guide vane part.

5.2. Pressure Pulsation Analysis of Different Tip Clearance Widths ($h_{TC}$)

5.2.1. Time Domain Analysis of Pressure Pulsation

This study focuses on the analysis of pressure pulsation from the guide vane to the runner section; that is, the pressure pulsation changes of all monitoring points. Data of the last five periods of numerical simulation calculation are selected as the analysis object.

For different tip clearance conditions, the mean value of pressure pulsation at the monitoring points and the peak-to-peak values of pressure pulsation in the 97% confidence interval are calculated and analyzed, and the contour map of the internal pressure pulsation of the entire turbine from the inlet to the outlet is drawn. Figure 16 is the contour map of the mean value of pressure pulsation in the turbine, and Figure 17 is the contour map of the peak-to-peak value of pressure pulsation change in the turbine.
change law of pressure pulsation peak-to-peak value in the turbine under different conditions. Figure 18 is the contour map of the distribution of pressure pulsation at different monitoring points in the runner and guide vane under different conditions. The time domain signal of pressure pulsation at each monitoring point is subjected to fast Fourier transform (FFT) in order to obtain the frequency domain of pressure pulsation. When \( h_{TC} = 0 \) mm and \( h_{TC} = 0.6 \) mm, the peak-to-peak value of pressure pulsation in the turbine reaches the highest near the chamber at the trailing edge of the guide vane and the vaneless region respectively. Similarly, for the change of pressure pulsation peak-to-peak value in the turbine, the highest peak-to-peak value condition near the blade tip clearance is not strong because the flow is controlled by the blade. However, when \( h_{TC} = 1.0 \) mm, the flow at the blade tip loses the control of the blade due to the excessive tip clearance width. Due to the occurrence of clearance leakage vortex, the amplitude of pressure pulsation begins to rise. When the blade tip clearance width is \( \Delta C_p = 0.38 \). At the same time, due to the occurrence of tip clearance, there is a very high peak-to-peak value condition near the blade tip. The characteristic frequency signals are extracted: shaft frequency \( fs \), blade passage frequency \( fv \), and the blade passage frequency of the fixed part \( fv_{fs} \). Excessive intensity in flow turbulence in the turbine, cause a violent change in pressure pulsation amplitude increases greatly, and the peak value of the highest pressure pulsation is shown in Figure 18. The shaft frequency \( fs \) of the main shaft of the rotating part is 17.38 Hz, and the characteristic frequency \( fs \) of the rotating part \( fs_{fr} \) shows a trend of firstly increasing and then decreasing, and the highest frequency \( fs \) of pressure pulsation at the blade tip when \( h_{TC} = 0 \) mm and \( h_{TC} = 1.0 \) mm, the maximum peak-to-peak value is 1.0 mm. When \( h_{TC} = 1.0 \) mm, the flow at the blade tip loses the control of the blade. When \( h_{TC} = 0 \) mm and \( h_{TC} = 0.6 \) mm, the maximum peak-to-peak value is 0.24. Excessive clearance \( \Delta C_p \) of the turbine. With the continuous increase of clearance \( \Delta C_p \), clearance \( \Delta C_p \) will cause a development of clearance leakage vortex. The performance of the turbine at the blade tip clearance is significantly affected, resulting in the peak of amplitude of pressure pulsation of the entire flow range from inlet to outlet first increasing and then decreasing.

Figure 16. Contour map of mean value of pressure pulsation under different \( h_{TC} \) conditions.

Figure 17. Contour map of peak-to-peak value of pressure pulsation under different \( h_{TC} \) conditions.
It can be observed from Figures 16 and 17 that, under different $h_{TC}$, the mean value distribution of pressure pulsation in the turbine is relatively close, and the overall distribution law is that pressure pulsation decreases first and then increases from inlet to outlet. Pressure pulsation decreases slowly in the inlet section. When the flow enters the guide vane, the decline speed of the mean value of pressure pulsation accelerates. From the inlet of guide vane to the middle of the runner, the average value of the overall relative pressure in the turbine is above 0. Only in the vaneless region from the guide vane outlet to the runner inlet is there a special area near the chamber where the average value of the pressure pulsation first decreases sharply and then rises suddenly, and the average value of the relative pressure is only about $-0.1$. After entering the runner, the mean value of pressure pulsation further decreases. Finally, the lowest point of the mean value of pressure pulsation in the turbine is reached at the blade tip clearance of the runner blade (under the condition of $h_{TC} = 0$ mm, the mean value of the lowest pressure pulsation in the turbine appears at the trailing edge of the runner blade). When the fluid reaches the outlet section through the rotating parts, the mean value of pressure rises gradually and finally returns to about 0. By using analysis from the chamber to the hub, it can be observed that the mean value of the pressure pulsation in the turbine with different $h_{TC}$ from the chamber to the hub is an overall downward trend.

Similarly, for the change of pressure pulsation peak-to-peak value in the turbine, the change law of pressure pulsation peak-to-peak value in the turbine under different $h_{TC}$ is basically the same. Contrary to the change of mean value of pressure pulsation, the peak-to-peak value of pressure pulsation in the entire flow range from inlet to outlet first increases and then decreases, and the change of peak-to-peak value in the inlet section is relatively slow. After the fluid passes through the bulb body, the peak-to-peak value amplitude of pressure pulsation begins to rise. When the blade tip clearance width is $h_{TC} = 0$ mm and 0.6 mm, the peak-to-peak value of pressure pulsation in the turbine reaches the highest near the chamber at the trailing edge of the guide vane and the vaneless region between the runner and the guide vane near the chamber. When $h_{TC}$ reaches 1.0 mm, the peak-to-peak value of pressure pulsation in the turbine appears at two heights, in addition to the position of the vaneless region close to the chamber as the condition when $h_{TC} = 0$ mm and 0.6 mm. There is also a very high peak-to-peak value condition near the blade tip clearance. Then, the amplitude changes of the peak-to-peak value of the pressure pulsation in the runner decreases gradually and finally reaches a more stable pressure pulsation change at the outlet. It can be observed from the time domain of pressure pulsation that the appropriate $h_{TC}$ can effectively weaken the peak value of pressure pulsation in the turbine. When $h_{TC} = 0.6$ mm, the maximum peak-to-peak value is $\Delta C_p = 0.22$, while when $h_{TC} = 0$ mm, the peak-to-peak value is $\Delta C_p = 0.24$. Excessive $h_{TC}$ will cause a development intensity in flow turbulence in the turbine, cause a violent change in pressure pulsation and make multiple violent vibration positions in the turbine. At the same time, the pulsation amplitude increases greatly, and the peak value of the highest pressure pulsation is $\Delta C_p = 0.38$.

5.2.2. Frequency Domain Analysis of Pressure Pulsation

The time domain signal of pressure pulsation at each monitoring point is subjected to fast Fourier transform (FFT) in order to obtain the frequency domain of pressure pulsation at different monitoring points in the runner and guide vane under different $h_{TC}$, as shown in Figure 18. The shaft frequency $f_s$ of the main shaft of the rotating part is 17.38 Hz, the blade passage frequency $f_r = N sf_s$ of the rotating part is about 69.54 Hz and the blade passage frequency $f_v = N vf_s$ of the fixed part is about 278.15 Hz.
0.6 mm, the amplitude of $f_s$ at the blade tip clearance is not very obvious, indicating that a reasonable blade tip clearance width cannot result in large changes in the internal pressure pulsation of the turbine.

For different $h_{TC}$ conditions, the frequency domain signals of pressure pulsation at all monitoring points are obtained according to FFT transformation, and three characteristic frequency signals are extracted: shaft frequency $f_s$, the blade passage frequency of the rotating part $f_r$ (four times $f_s$) and the blade passage frequency of the fixed part $f_h$ (16 times $f_s$). The contour map of each frequency distribution in the entire turbine from the inlet to the outlet is drawn. Figure 18 is the contour map of the distribution of $f_s$ in the turbine under different $h_{TC}$ conditions. It can be observed from Figure 18 that under different $h_{TC}$ conditions, the amplitude of $f_s$ in the turbine passage is small as a whole, and the distribution of $f_s$ shows a trend of firstly increasing and then decreasing, and the highest $f_s$ location appears in the second half of the runner. It can be observed from the figure that $h_{TC}$ has a great impact on the characteristic frequency $f_s$ of the turbine. With the continuous increase in $h_{TC}$, characteristic frequency $f_s$ increases. When $h_{TC} = 1.0$ mm, the amplitude of $f_s$ increases to about $C_p = 0.0015$. At the same time, due to the occurrence of tip clearance, there is a significant difference in $f_s$ of pressure pulsation at the blade tip when $h_{TC} = 0$ mm and $h_{TC} = 1.0$ mm. When $h_{TC} = 1.0$ mm, the flow at the blade tip loses the control of the blade due to the excessive tip clearance width. Due to the occurrence of clearance leakage vortex, the flow at the blade tip clearance changed significantly and a peak of amplitude of $f_s$ appears. When $h_{TC} = 0$ mm, the characteristic frequency $f_s$ performance at the blade tip clearance is not strong because the flow is controlled by the blade. However, when $h_{TC} = 0.6$ mm, the amplitude of $f_s$ at the blade tip clearance is not very obvious, indicating that a reasonable blade tip clearance width cannot result in large changes in the internal pressure pulsation of the turbine.

Figure 19 shows the distribution of $f_s$ in the turbine under different $h_{TC}$ conditions. It can be observed from the figure that compared with the distribution of $f_s$, the distribution of $f_h$ inside the turbine passage is more regular. The distribution of $f_h$ inside the turbine shows two peaks: One in the vaneless region between the guide vane and the runner, which is mainly caused by the rotor–stator interaction between the fixed parts and the rotating parts. Another peak appears at the tip clearance of the blade. The same is observed for the distribution of $f_r$: When $h_{TC} = 0$ mm and 0.6 mm, the characteristic frequency $f_r$ at the blade
tip clearance does not change much and remains at a small amplitude. However, when

\( h_{TC} \) increases to 1.0 mm, the characteristic frequency \( f_r \) at the blade tip clearance increases significantly, indicating that the flow at the runner tip clearance is obviously disordered. At the same time, compared with the distribution of \( f_s \), the two peaks of the distribution of \( f_r \) in the passage significantly increased, and the overall \( C_p \) value increased to more than 0.009, indicating that the rotation of rotating parts has a great impact on the internal pressure pulsation of the turbine.

![Contour map of the distribution of \( f_r \) inside the turbine under different \( h_{TC} \) conditions.](image)

**Figure 19.** Contour map of the distribution of \( f_r \) inside the turbine under different \( h_{TC} \) conditions.

Figure 20 is a contour map of the distribution of \( f_v \) inside the turbine under different \( h_{TC} \) conditions. It can be observed from the figure that the distribution of \( f_v \) in the turbine is closer to that of \( f_r \), and there are obvious peaks in the vaneless region and blade tip clearance. Different from \( f_r \), the peak value and influence range of \( f_v \) are larger. This shows that the appearance of the characteristic frequency \( f_v \) is obviously related to the mixing and dissipation in the fluid. Another difference is that with the increase in \( h_{TC} \), the amplitude and peak range of characteristic frequency \( f_v \) gradually decrease.

In conclusion, the existence and width of blade tip clearance significantly affect the amplitude and distribution of characteristic frequency of pressure pulsation in tubular turbines. With reasonable and moderate blade tip clearance width, the amplitude of characteristic frequency at blade tip clearance can be effectively avoided, and the amplitude of characteristic frequency caused by rotor–stator interaction in a vaneless region can be reduced so as to provide guarantee for safe and stable operation of the unit.
6. Influence of Different Tip Clearance Widths (\(h_{TC}\)) on the Forces of Tubular Turbine

During the operation of tubular turbine, the fluid will produce a large force on the unit. The force on the rotating part of the unit mainly includes axial and radial directions, and the leakage flow in the blade tip clearance is the source of radial excitation force. The existence of these two forces will have a certain impact on the safety and stability of the unit during operation.

In this study, schematic diagrams of axial force and radial force on the runner are shown in Figure 21, where the axial force is \(F_z\), as shown in the figure, while the radial force \(F_r\) is the resultant force of the runner’s hydrodynamic force \(F_x\) in the X direction and \(F_y\) in the Y direction. The expression of radial force \(F_r\) is as follows:

\[
F_r = \sqrt{F_x^2 + F_y^2} \quad (5)
\]

where \(F_r\) represents the radial force received by the runner, N; \(F_x\) and \(F_y\) represent the hydrodynamic forces acting on the two vertical directions of the runner, respectively, N.

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**Figure 20.** Contour map of the distribution of \(f_v\) inside the turbine under different \(h_{TC}\) conditions.

**Figure 21.** Schematic diagram of axial force and radial force.
6.1. Influence of Different Tip Clearance Widths (h\textsubscript{TC}) on Axial Force

In order to analyze the axial force on the runner of tubular turbine under rated working conditions, select the last period of data to analyze the change of axial force on tubular turbine runner under different h\textsubscript{TC} at rated working conditions. The time domain is shown in Figure 22. It can be observed from the figure that when blade h\textsubscript{TC} increases from 0 mm to 1.0 mm, the axial force of the runner shows a downward trend as a whole. There are two stages of changes in the process of axial force decline. From 0 mm to 0.6 mm, the axial force of the runner decreases greatly, overall axial force decreases from 4325 N to about 4025 N, and from 0.6 mm to 1.0 mm, the axial force of the runner decreases slowly, the axial force is about 4025 N. It can be observed from the time domain diagram that under different h\textsubscript{TC}, the variation amplitude of axial force in one cycle is similar, and the peak-to-peak values are about 25 N. It can be observed that considering h\textsubscript{TC} has a significant impact on the axial force of the rotating parts of the tubular turbine, the existence of h\textsubscript{TC} will result in a significant decrease in the axial force, but the change of h\textsubscript{TC} will not have a significant impact on the axial force of the rotating parts.

![Figure 22. Time domain of axial force of runner under different h\textsubscript{TC} conditions.](image)

6.2. Influence of Different Tip Clearance Widths (h\textsubscript{TC}) on Radial Force

In order to analyze the radial force on the runner of tubular turbine under rated working conditions, select the last period of data to analyze the change of radial force on tubular turbine runner under different h\textsubscript{TC} at rated working conditions. The time domain is shown in Figure 23. It can be observed from the figure that under the rated working condition, the radial force of runner blades with different clearances is different. Overall, when h\textsubscript{TC} increases from 0 mm to 1.0 mm, the radial force decreases to a certain extent. At 0 mm, the radial force is the largest, and the overall mean value of pulsation amplitude is more than 4 N. After considering tip clearance, when h\textsubscript{TC} is 0.6 mm, the overall amplitude of radial force decreases to about 2 N. When h\textsubscript{TC} increases to 1.0 mm, the radial force on the rotating parts increase to about 3 N. It can be observed that the existence of h\textsubscript{TC} will result in an decrease in radial force. And, the decrease value is large, almost 50% of h\textsubscript{TC} = 0 mm. Therefore, the tip clearance width has effect on the radial excitation force of rotating parts.
6.2. Influence of Different Tip Clearance Widths (hTC) on Radial Force

In this study, six different tip clearance widths are deeply studied, and the influence of tip clearance width of tubular turbine is analyzed in detail. Conclusions can be drawn as follows:

(1) With the increase in tip clearance width, the performance of tubular turbine firstly decreases and then increases. When tip clearance width increases from 0 to 1.0 mm, tip leakage vertical flow becomes stronger. The internal flow in runner becomes more turbulent and disordered. The hydraulic loss in leakage is strong. As the tip clearance width increases, the minimum pressure in the tip clearance decreases gradually, and the turbulence eddy frequency decreases significantly, which is prone to the risk of tip vortex cavitation. The internal flow in runner will be more complex.

(2) The tip clearance width has strong influence on pressure pulsation. A reasonable width will reduce pressure pulsation intensity. However, excessive tip clearance width (for example 1.0 mm) will cause severe pressure pulsation in the turbine, especially in the vaneless region between the runner and guide vane and the blade tip clearance of the runner because the flow is out of control, and the amplitude of pressure pulsation is extremely strong.

(3) The force on a runner is affected by tip clearance width. If the width is larger, the average value of axial force is smaller. When tip clearance width increases from 0 to 1.0 mm, the average value of axial force decreases from 4325 N to 4025 N for about 7%. However, the pulsation amplitude of axial force does not strongly change with the variation of tip clearance width, the peak-to-peak values are about 25 N. However, the change in tip clearance width has great influence on the radial excitation force, with the increase of tip clearance width, the radial force decreases for about 50%.

The determination of blade tip clearance width of tubular turbine is a complex comprehensive problem. A tip clearance width that is too large enhances the leakage vortex in the clearance and the pressure pulsation in the unit. Tip clearance that is too small will result in a significant increase in the axial force on the runner and affects the safe and stable operation of the unit. For the reasons above, the influence of tip clearance should be considered in the design process of tubular turbine. A reasonable tip clearance width is required because the efficiency, stability and security of turbine unit is very sensitive to it. Therefore, in the future research, it is still necessary to combine actual production and consider enough influencing factors to reasonably determine the appropriate tip clearance width range.
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