Comparative Analysis of Bilateral Permanent Magnet Linear Synchronous Motors With Different Structures

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Abstract—Permanent magnet linear synchronous motor (PMLSM) has the advantages of high thrust density and good control accuracy, which can be applied in high-power and high-speed occasions. In this paper, the analytical models are established to obtain the electromagnetic performance for the PMLSMs with dual secondaries and dual primaries. The air-gap flux density and the electromagnetic thrust are also obtained by the finite element model to verify theoretical analysis. Besides, an improved structure is also put forward in order to suppress the thrust fluctuation of the PMLSM. Finally, the advantages and disadvantages of two PMLSM topologies are listed. These analyses would provide a guide for the design of PMLSMs applied in high-power and high-speed occasions.

Index Terms—Bilateral permanent magnet linear synchronous motor (BPMLSM), analytical method, finite element algorithm (FEA), electromagnetic performance.

I. INTRODUCTION

PERMANENT magnet linear synchronous motors (PMLSM) can directly convert electric energy into linear motion without intermediate motion conversion mechanism. Compared with the traditional way to realize linear motion, such as combination of the rotating motor and rack-pinion or ball-screw, PMSLMs have advantages of direct drive, low loss, excellent dynamic response, simple structure, and so on [1]-[7]. Due to these characteristics aforementioned, PMSLMs can find more applications with requirements of high efficiency, fast response, high accuracy, small volume, etc. [8-9]

Recently, many literatures are researched on PMSLMs, which mainly focus on the application of low speed and high precision [5-7]. The analytical method and finite element method are combined to establish the theory of this type of motor, and the corresponding experiments verify its effective-ness. For double-sided PMLSM, it proposes an effective method by shifting the armature or magnetic pole a certain distance to weaken the thrust ripple, and carries out the structure optimization. Based on this optimal design, the electromagnetic and thrust force performances are studied at the no-load and rated load, and validated by prototype measurement [10]. For the cylindrical PMLSM, it studies the magnetic field, back electromotive force (EMF), thrust, armature response, eddy current loss, and optimization design of reducing the positioning force based on the finite element and analytical methods [11].

However, the application range of permanent magnet linear synchronous motors should not be only limited to the application of low speed and high precision. In high-speed and high-power applications, the application prospects of the PMSLM are still very wide. It is necessary to conduct in-depth research on the PMLSM in this application. Therefore, the design and analysis of the moving-magnet-type PMLSM is proposed. The analytical expression of the thrust-density coefficient is derived from basic electromagnetic force laws. Based on the analytical results, the thrust and the thrust ripple are analyzed using the finite element method in different conditions [12]. Besides, two ring windings with novel structures and better performance for the PMLSM is also presented. By comparing the different structures, it finds that the single-layer ring windings are suitable for high-power systems, the double-layer ring windings can be adopted in low fluctuation systems [13].

This paper compares the PMLSMs with different structures in high-speed and high-power situations. According to the analysis of the magnetic field between the motor stator and the mover, two types of bilateral PMLSMs with different structures are proposed. The finite element model and analytical model of the PMLSM are established, and then it analyzes the air gap flux density and thrust of the two motors under no load and load conditions. The finite element analysis model is established by ANSOFT. By comparing the performance of two PMLSMs with different structures, different applications of the two PMLSMs are obtained. Besides, the advantages and disadvantages of two PMLSM topologies are also listed. Finally, the shape of the permanent magnets of the linear motor is optimized. It concluded that the optimized linear motor has better electromagnetic performance through the finite element simulation, which provides a guide for the selection and optimization design of this type of motor.
II. **FINITE ELEMENT MODEL**

Figs. 1 and 2 show the two-dimensional finite element models of a 72-slot / 6-pole dual secondary PMLSM (Motor A) and a dual primary PMLSM (Motor B). The mover of PMLSMs is the permanent magnet.

The common features of PMLSMs includes the stator structure with a core-integrated integer-slot ring winding, a semi-open rectangular slot, and a surface-mounted rectangular radial magnetized permanent magnet substructure, as described in Figs. 1 and 2. The difference between the two types of PMLSM is the mover. Fig. 1 shows a bilateral dynamic magnetic structure with small mass and volume. Each side has an auxiliary stator to close the magnetic circuit and balance the normal force. Fig. 2 uses the form of double primary, and only adopts a structure of a permanent magnet mover. Table I shows the basic parameters of two PMLSMs.

| Parameter                        | Symbol | Unit | Value |
|----------------------------------|--------|------|-------|
| Stator length                    | $L_1$  | mm   | 1944  |
| Stator height                    | $H_1$  | mm   | 150   |
| Auxiliary stator height          | $H_3$  | mm   | 40    |
| Stator thickness                 | $L_δ$  | mm   | 210   |
| Number of slots                  | $Q_1$  | -    | 72    |
| Pitch                            | $t_1$  | mm   | 27    |
| Tooth width                      | $b_1$  | mm   | 13    |
| Slot width                       | $b_0$  | mm   | 14    |
| Slot depth                       | $b_0$  | mm   | 35    |
| Number of turns in series per phase | $N_1$  | -    | 24    |
| Number of conductors per slot   | $Z_1$  | -    | 4     |
| The length of the mover          | $L_2$  | mm   | 972   |
| One-sided mover height           | $H_2$  | mm   | 22    |
| The number of poles              | $2p$   | -    | 6     |
| Pole distance                    | $τ$    | mm   | 162   |
| Permanent magnet length          | $l_{m1}$ | mm | 210   |
| Permanent magnet width           | $b_{m1}$ | mm | 150   |
| Permanent magnet height          | $h_{m1}$ | mm | 10    |
| Aluminum alloy bracket thickness | $h_3$  | mm   | 2     |
| Air gap length                   | $δ$    | mm   | 2     |
| Copper wire gauge                | $d_1*d_2$ | mm$^2$ | 5.8*1.5 |
| One-sided rated voltage          | $U$    | V    | 380   |
| One-sided rated current          | $I$    | A    | 1341  |
| Synchronous speed                | $v_s$  | m/s  | 37.5  |
| Rated thrust                     | $F$    | kN   | 45    |

Regarding the selection of linear motor materials, DW470-50 is used as the iron core silicon steel sheet of the motor stator, copper flat wire is used for the stator armature winding, and the rare earth permanent magnet material NdFeB is used as the rotor permanent magnet. The material of the bracket is a lighter aluminum alloy plate.

III. **ANALYTICAL MODEL**

A. **Magnetic Field Analysis**

For example, in Fig. 1, according to the characteristics of Motor A, a hierarchical analytical model of the motor is established, the Fourier series analysis method and the separated variable method are used to deduce analytical expression for the two-dimensional magnetic field distribution. Finally, the specific distribution of the magnetic field of the linear motor is analyzed with the help of boundary conditions.

Because the motor is a symmetrical structure along the center line of the main stator, in order to simplify the analysis, a 1/2 model below the pole is established, as shown in Fig. 3.

![Fig. 3 Motor structure model](image)

In order to facilitate the following analysis and calculation, the simplified structure of the motor is shown in Figure 4. The simplified height of the permanent magnet of the mover $h_{m1}$ is $2h_{m1}$, and the air gap length $δ$ is $δ_1 + δ_0/2$.

![Fig. 4. Simplified motor structure model.](image)

In order to simplify the analysis process, after making the following analysis hypotheses, a multi-gap magnetic field layered analytical model of the motor is established [14], as shown in Fig. 5.

![Fig. 5. Hierarchical analytical model of multi-gap magnetic field of motor.](image)

B. **Equivalent of Motor Excitation Source**

Because the excitation of the motor's magnetic field has two
parts: the stator armature winding and the mover permanent magnet, the two parts should be analyzed independently during the analysis process. The flux density of the internal magnetic field of the motor is analyzed separately when these two parts act independently. After comprehensive consideration, the Equivalent Magnetizing Current (EMC) method was chosen, where the Fourier series was used to represent the stator armature current and the mover [15].

The stator armature winding of Motor A adopts a single-layer short-pitch integer slot winding form, and the number of slots per phase per phase is 2. Because the stator of the motor is symmetrical, it is possible to analyze the magnetic field distribution generated by only one side of the winding, as shown in Fig. 6.

The main stator of the linear motor adopts a rectangular half-open slot type. The number of turns of the single-layer winding in the slot is \( N \), the slot width is \( b_0 \), the slot depth is \( h_0 \), and the tooth pitch is \( t \). After the armature currents \( I_a \), \( I_b \), and \( I_c \) are entered, the current densities of the three-phase windings in the slot area are

\[
\begin{align*}
J_a &= \frac{N \cdot I_a}{h_0 \cdot b_0} \\
J_b &= \frac{N \cdot I_a}{h_0 \cdot b_0} \\
J_c &= \frac{N \cdot I_c}{h_0 \cdot b_0}
\end{align*}
\]

The current density distribution function of the entire armature winding can be obtained by superposing the expressions of the current density distribution functions of the three-phase windings A, B, and C in the stator armature, and is specifically expressed as

\[
J_s(x) = \sum_{m=1,3,5,...} \frac{4}{k\pi} \cos\left(\frac{\pi m}{6} + \frac{h_0}{2}\right) \sin\left(\frac{h_0}{2}\right) \cos\left(\frac{k\pi x}{6}\right).
\]

As shown in Fig. 8, it is a waveform diagram of the spatial position of the mover permanent magnet and the corresponding residual magnetization in the PMLSMs. Among them, the pole distance of the mover is \( x \), the width of the mover permanent magnet in the x direction is \( b_0 \), the calculated residual magnetic density is \( B \), and the amplitude of the magnetization waveform is \( M_r \).

According to the law of Ampere’s loop, when the displacement current density is not considered, the current density can be obtained by calculating the curl of the magnetic field strength, in (3). Since the permanent magnets in the motor mover are uniformly magnetized, the surface current density \( J_m \) is used to simulate the permanent magnets, and the Fourier series expansion is used to obtain

\[
J_m = \nabla \times M_r.
\]  

\[
J_m(x) = - \sum_{l=1,3,5,...} \frac{4B}{\mu_0} \sin\left(\frac{k\pi b_0}{2}\right) \sin\left(\frac{k\pi x}{\tau}\right).
\]

**C. Calculation of Motor Magnetic Field**

When it solves the armature magnetic field, the excitation effect of the mover is not considered, so that the equivalent body current density of the permanent magnet can be regarded as 0, and the permeability of the permanent magnet in all directions is same as the air permeability rate. The main stator part and the auxiliary stator are ferromagnetic materials, and the magnetic permeability can be regarded as infinite. Therefore, the solution area of the armature magnetic field can be divided into “armature winding” and “air gap + permanent magnet”, which correspond to the two parts II and III + IV + V in Fig. 5. Let the vector magnetic potential of the “armature winding” area of the main stator be \( A_{a1}(x, y) \), For the "air gap + permanent magnet" region, the vector magnetic potential is \( A_{a2}(x, y) \), which meet the magnetic field equation

\[
\begin{align*}
\frac{\partial^2 A_{a1}(x, y)}{\partial x^2} + \frac{\partial^2 A_{a1}(x, y)}{\partial y^2} &= -\mu_0 J_s(x, y) \\
\frac{\partial^2 A_{a2}(x, y)}{\partial x^2} + \frac{\partial^2 A_{a2}(x, y)}{\partial y^2} &= 0
\end{align*}
\]

In order to find the partial differential equation in the region, the boundary conditions satisfied by the Poisson equation should be added as follows

\[
\begin{align*}
\frac{\partial A_{a1}}{\partial y} \bigg|_{y=-(h_0+2\delta+h_0)} &= 0 \\
\frac{\partial A_{a1}}{\partial y} \bigg|_{y=0} &= 0 \\
\frac{\delta A_{a1}}{\delta x} \bigg|_{y=-(h_0+2\delta)} &= -\frac{\delta A_{a1}}{\delta x} \bigg|_{y=-(h_0+2\delta)} \\
\frac{\delta A_{a1}}{\delta y} \bigg|_{y=-(h_0+2\delta)} &= -\frac{\delta A_{a1}}{\delta y} \bigg|_{y=-(h_0+2\delta)}
\end{align*}
\]

Combined with the above boundary conditions, the
method of separating variables is used to solve the equations satisfied by the region under the action of the permanent magnet alone, and the expressions of the vector magnetic potential and the corresponding magnetic density of each region are obtained.

For area II these coefficients can be expressed

\[
A_{II}(x,y) = \sum_{k=1,3,5,\ldots} \left[ 4\sqrt{N}I_2 \frac{\mu_0}{k^2 \pi h} \cos \theta_k \right. \\
\left. \cos \left( \frac{\pi m}{6} + \frac{b_2}{2} \right) \cos \theta_k \cos \frac{k \pi}{6} \right] \\
C_{II} \left( e^\frac{j\pi}{2} (h_{a+2b} + 2)), e^\frac{j\pi}{2} (h_{a+2b}) \right) - e^\frac{j\pi}{2} (h_{a+2b}) 
\] (7)

For area III + IV + V these coefficients can be expressed

\[
A_{III}(x,y) = \sum_{k=1,3,5,\ldots} \left[ 4\sqrt{N}I_2 \frac{\mu_0}{k^2 \pi h} \cos \theta_k \right. \\
\left. \cos \left( \frac{\pi m}{6} + \frac{b_2}{2} \right) \cos \theta_k \cos \frac{k \pi}{6} \right] \\
C_{III} \left( e^\frac{j\pi}{2} (h_{a+2b} + 2)), e^\frac{j\pi}{2} (h_{a+2b}) \right) \cdot e^\frac{j\pi}{2} (h_{a+2b}) 
\] (8)

These coefficients \(C_{II}\) and \(C_{III}\) can be expressed as

\[
C_{II} = \frac{k \pi (h_{a+2b} + 2))}{e^\frac{j\pi}{2} (h_{a+2b} + 2))} \\
C_{III} = \frac{k \pi (h_{a+2b} + 2))}{e^\frac{j\pi}{2} (h_{a+2b} + 2))} \cdot \left( 1 - e^\frac{j\pi}{2} (h_{a+2b}) \right) 
\] (9)

When the permanent magnet magnetic field is solved, the excitation effect of the stator armature is not considered, so that the equivalent body current density of the armature winding can be regarded as 0, and the magnetic permeability in all directions is the same as the air permeability rate. Therefore, the solution area of the permanent magnet magnetic field can be divided into "main stator part + winding + air gap 1", "permanent magnet" and "air gap 2+ auxiliary stator", corresponding to I + II + III, IV in Fig. 5. And V + VI three parts. Set the vector magnetic potential of the sub-main stator section + winding + air gap 1 to \(A_{m1}(x,y)\). For the "permanent magnet" region, the vector magnetic potential is \(A_{m2}(x,y)\). For the "air gap 2 + Auxiliary stator" area, the vector magnetic position is \(A_{m3}(x,y)\), the magnetic field equation and boundary conditions are described as

\[
\frac{\partial^2 A_{m1}(x,y)}{\partial x^2} + \frac{\partial^2 A_{m1}(x,y)}{\partial y^2} = 0 \\
\frac{\partial^2 A_{m2}(x,y)}{\partial x^2} + \frac{\partial^2 A_{m2}(x,y)}{\partial y^2} = -\mu_0 J_m(x,y) \cdot (10)
\]

Combined with the above boundary conditions, the method of separating variables is used to solve the equations satisfied by the region under the action of the permanent magnet alone, and the expressions of the vector magnetic potential and the corresponding magnetic density of each region are obtained.

For area I+II+III these coefficients can be expressed

\[
A_{m1}(x,y) = \sum_{k=1,3,5,\ldots} \left[ 2N \frac{B_m}{k \pi} \sin \left( k \pi \frac{b_m}{\pi} \right) \sin \left( k \pi \frac{b_m}{\pi} \right) \right. \\
\left. \frac{2N \frac{B_m}{k \pi} \sin \left( k \pi \frac{b_m}{\pi} \right) \sin \left( k \pi \frac{b_m}{\pi} \right)}{2 \pi} \right] \\
2 \pi e^\frac{j\pi}{2} (b_m + 2)) \cdot D_{ia} e^\frac{j\pi}{2} (b_m) + D_{ixa} e^\frac{j\pi}{2} (b_m) 
\] (12)
winding. Therefore, the influence of the cogging effect on the magnetic resistance and reduce the magnetic flux entering the slot of the motor is regarded as a smooth and slotless structure. But in fact, the slotting of the motor will increase the air gap of the motor is a smooth and slotless structure. But in fact, the slotting of the motor will increase the air gap length, \( h_0 \) is the slot width of a single slot, and \( t \) is the tooth pitch. It is supposed \( \beta(y) \) to \((B_{\text{max}}-B_{\text{min}})/2B_{\text{max}}\), the flux density can be obtained by using Schwarz-Christoffel Mapping. The position of the center line of the core tooth reaches the maximum and the position of the slot center line reaches the minimum, so as to obtain the specific expression of \( \beta(y) \), as expressed by

\[
\beta(y) = \frac{1}{2} \frac{1}{\sqrt{1 + \left(\frac{h_0}{2\delta}\right)^2(1 + y^2)}}.
\]

The air-gap permeability change caused by the cogging effect is added to the magnetic density. The single relative permeability distribution function is

\[
\lambda(x, y) = \frac{\lambda(x, y)}{\mu_0}\left[1 - \frac{1}{\sqrt{1 + \left(\frac{h_0}{2\delta}\right)^2(1 + y^2)}}\right]...
\]

\[
\lambda(x, y) = \frac{1}{\mu_0}\left[1 - \frac{1}{\sqrt{1 + \left(\frac{h_0}{2\delta}\right)^2(1 + y^2)}}\right]...
\]

Since the distance of the main stator of the linear motor moving in the x direction is far greater than the air gap length and the tooth width of the motor is about 5 times the air gap length, the relative permeability in the air gap between adjacent tooth slots can be ignored. The effect on the distribution function is the air-gap permeability distribution of the entire linear motor, which is considered to be a periodic function with the tooth pitch \( t \) as the period. Fourier series decomposition is performed to obtain the expression (18) of the relative permeability distribution function \( \lambda(x, y) \) at \( y \) direction in the equivalent air gap of the motor, where \( h_s \) is the distance between the centerline of the slot and the axis of the phase a winding.

\[
\lambda(x, y) = a_0 + \sum_{n=1}^{\infty} a_n \cos \left(\frac{2\pi}{l} n(x + h_s)\right)...
\]

\[
a_0 = 1 - 1.6 \frac{h_0}{l} \beta(y)
\]

\[
a_n = \frac{4}{n\pi} \left[\frac{1}{2} \left(\frac{n h_s}{l}\right)^2 - 0.78125 - 2\left(\frac{n h_s}{l}\right)^2\right] \sin(1.6h_s \beta(y))...
\]

From the above analysis, it can be seen that the cogging effect will change with the air gap length \( \delta \), awkward width \( h_0 \), and tooth pitch \( t \) of the PMLSM. When the air gap or tooth pitch increases, the relative permeability distribution function of the
motor also increases, and the effect of the cogging effect gradually decreases. When the slot width $b_0$ gradually increases, the relative permeability distribution function of the motor follows decreases, the influence of the cogging effect increases at the same time.

Since the area I in Fig. 5 is a mechanical air gap portion between the main stator winding and the mover permanent magnet, it is an important area for the motor to perform energy conversion. In order to examine the accuracy of the above-mentioned analysis of the motor magnetic field, for example, in area II, expression (19) can calculate the magnetic flux density in this area along the $y$ direction.

$$B_y(x, y) = \left[ B_{1y}(x, y) + B_{2y}(x, y) \right] \cdot \lambda(x, y). \quad (19)$$

IV. PERFORMANCE ANALYSIS

A. PMLSM Magnetic Field Analysis

The distribution of the electromagnetic field in a double-sided PMLSM is different under different states. When the motor is in static operation, the magnetic field is only generated by the permanent magnet of the mover. When the stator winding of the motor is passed into a three-phase sinusoidal constant frequency, it can drive the load. Meanwhile, the magnetic field is provided by the stator current winding and the mover permanent magnet. Therefore, the static and transient finite element simulations of the linear motors of each structure were performed, and the distribution diagrams of the magnetic field lines under load conditions is obtained, as shown in Figs 8 and 9.

![Fig. 8. Magnetic field analysis diagram of motor A.](image)

![Fig. 9. Magnetic field analysis diagram of motor B.](image)

The quality of the air gap flux density waveform not only affects the back EMF waveform of the permanent magnet linear synchronous motor, but also affects the electromagnetic thrust of the motor. If it obtains a large electromagnetic thrust and increase the thrust density of the motor, the fundamental wave amplitude of the air gap magnetic density must be sufficiently large. A finite element simulation model and an analytical model are established based on the main parameters of the motor obtained in the electromagnetic design mentioned above, and the waveforms and sizes of two different types of PMLSM air-gap flux density are analyzed in detail.

In order to obtain the air-gap flux density waveform distribution of the motor at no load and load, extract the normal component of the motor (the $y$ direction of the model) as shown in Figs. 10 and 11.

![Fig. 10. Air-gap flux density analysis chart of motor A. (a) Under no load. (b) Under load.](image)

![Fig. 11. Air-gap flux density analysis chart of motor B. (a) Under no load. (b) Under load.](image)

Figs. 10 and 11 shows that the air gap flux density waveforms of the two types of motors are very different under no-load and load conditions. At no load, the air gap magnetic field is approximately sinusoidal, and the waveform has the characteristics of a flat top wave. The normal component of the air gap magnetic density is large, and its amplitude accounts for...
80% - 90% of the air gap flux density amplitude, mainly affected by the 3rd and 5th harmonics. When the motor is running under load, the air gap flux field also approximates a sinusoidal distribution, the transverse component of the air gap flux increases, and the proportion of the normal component decreases, and it is greatly affected by harmonics. The difference between the finite element simulation results and the PMLSM air gap flux density analysis results is small, so the accuracy of the method for magnetic field analysis can be proved.

B. PMLSM Electromagnetic Thrust Analysis

In order to examine the electromagnetic performance of the two structures of PMLSMs, three-phase sinusoidal constant-frequency currents $I_a$, $I_b$, and $I_c$ are now applied to their stator windings as the excitation source. After the above analysis, it can be known that, through the analytical method and the finite element method (FEM), the air gap flux density error of the two motors under no-load and load conditions is very small. Therefore, in this work, the FEM is used to calculate the electromagnetic force. The electromagnetic thrust of the motor based on FEM is obtained in Fig. 12.

![Electromagnetic Force (kN)](image)

Fig. 12. Thrust curve of PMLSM based on FEM.

Fig. 12 shows the curve of electromagnetic thrust of PMLSMs with two different structures. It can be seen from this figure that the electromagnetic thrust of the two models changes periodically, and the electromagnetic thrust of Motor A is higher than that of Motor B. Among them, the average electromagnetic thrust of Motor A is 45.3178kN and the thrust fluctuation is 17.4%. The average electromagnetic thrust of Motor B is 39.3868kN and the thrust fluctuation is 10.3%. In order to clarify the traits of the two motors, their advantages and disadvantages are summarized in Table II.

| Motor | Advantages | Disadvantages |
|-------|------------|---------------|
| Motor A | High electromagnetic thrust | Large amount of permanent magnets |
|       | The saturation degree of the stator core of Motor is low | Large thrust fluctuation |
| Motor B | Small amount of permanent magnet | Low electromagnetic thrust |
|       | Small thrust fluctuation | The saturation degree of the stator core of Motor is too high |

Both the finite element method and the analytical method are used to solve the air gap flux density of the load, it shows that the air gap flux honey of the two is very similar, but the thrust of the two shows a significant difference. The saturation of the cores of the two types of motor loads can be analyzed, and the flux density of the load can be achieved through finite element calculations. According to the results, it is found that the saturation degree of the stator core of Motor B is too high. It can be concluded that the saturation of the core causes the reduction of its thrust. The characteristics of the two PMLSMs with different structures are very clear. Motor A can produce greater thrust at the same end, while the thrust fluctuations are relatively large, and Motor B has average thrust due to problems such as core saturation. It is smaller than the former with the smaller thrust fluctuation.

V. STRUCTURAL OPTIMIZATION

The vibration and noise of the motor mainly come from electromagnetic vibration, and the stator and rotor parameters and control algorithms of the motor are often optimized from two aspects of motor design and control technology. It is assumed that the stator current is an ideal sine wave, and neglects the influence of core saturation, the thrust fluctuation of the permanent magnet linear synchronous motor mainly comes from the cogging force and the end force. For different thrust fluctuations, different measures can be adopted to reduce its impact. The cogging force is generated by the tangential component of the interaction force between the permanent magnet and the stator teeth.

The shape of the rotor permanent magnet pole arc or the outer surface of the rotor core pole arc is optimized by Exciter pole arc cutting technology, so as to reduce the air gap flux density content and suppress thrust fluctuations. In this paper, take Motor A as an example, as shown in Fig. 13. The air gap flux density generated by the mover permanent magnets of the double-secondary PMLSM is changed by finite element simulation to obtain the hydrogen gap magnetic honeycomb, as shown in Fig. 14. The corresponding electromagnetic thrust is solved, as shown in Fig. 15.

![The structure of Motor A after shaving.](image)

![Air gap magnetic density of PMLSM.](image)
Therefore, the finite element model is re-established in ANSOFT. The average value of the electromagnetic thrust with new structure is 43.2431 kN, and the thrust fluctuation is 9.1%. Compared with the original structure, the dual-level PMLSM adopting the pole-stripping structure has a slightly lower thrust peak value and less permanent magnet materials. Although the thrust is reduced by 2.0747 kN, the thrust fluctuations are decrease by 8.3%. Therefore, this topology can find wide application in industry.

VI. CONCLUSION

This paper introduces PMLSMs with two different structures, and establishes finite element models and analytical models for two types of motors. The two models were used to analyze the no-load, air-gap magnetic density and average thrust of the two motors. Finally, the two-stage PMLSM's permanent magnet structure was optimized, as the following

1) The motor performance parameters are calculated by the finite element model and the analytical model with little difference, so that it can prove the correctness and effectiveness of the two analysis methods.

2) Motor A has the advantage of large average thrust, but the thrust fluctuation is relatively large. Motor B has a smaller average thrust, but it has the characteristics of small thrust fluctuation and good running stability.

3) After optimizing Motor A for the moving magnet permanent magnet structure, the thrust peak value is slightly reduced, but the material of the permanent magnet material is reduced with the reduced thrust fluctuation about 8.3%.

The analysis of the structure shows that the PMLSM with an optimized permanent magnet structure with a dual-secondaries structure has great advantages in the case of high-power and high-speed motion. This linear motor has broad application prospects.

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