A Femtosecond Nanometer Free Electron Source

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We report a source of free electron pulses based on a field emission tip irradiated by a low-power femtosecond laser. The electron pulses are shorter than 70 fs and originate from a tip with an emission area diameter down to 2 nm. Depending on the operating regime we observe either photofield emission or optical field emission with up to 200 electrons per pulse at a repetition rate of 1 GHz. This pulsed electron emitter, triggered by a femtosecond oscillator, could serve as an efficient source for time-resolved electron interferometry, for time-resolved nanometric imaging and for synchrotrons.

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Continuous electron sources based on field emission can have emission areas down to the size of a single atom. Such spatially resolved sources have stunning applications in surface microscopy, to the extent that atomic scale images of surfaces are commonplace. Due to their brightness, field emission electron sources are also enabling for electron interferometry. Recently, for example, such small tips have been used to demonstrate anti-bunching of free electrons in a Hanbury-Brown and Twiss experiment.

On the other hand, the recent development of ultrafast pulsed electron sources has enabled time-resolved characterization of processes on atomic time scales. For example, the melting of a metal has been observed with 600-fs electron pulses. Sub-femtosecond electron pulses have been used to study the ionization dynamics of H₂. Fast electron pulses are typically generated by focusing an amplified high-power femtosecond laser beam onto a photocathode or a vapor target. In this case, the electron emission area is given by the laser spot diameter, which is on the order of or larger than 1 µm, much larger than the emission area for continuous sources.

Emerging applications, such as ultrafast electron microscopy, will require complete control over the spatio-temporal characteristics of the emitted electrons. In this work we realize this control through use of a low-power femtosecond laser oscillator to trigger free electron pulses from sharp field emission sources. Sharp tips and femtosecond lasers have previously been combined in the context of time-resolved scanning tunneling microscopy.

For weak optical fields, photoemission is dominated by the photofield effect, in which an initially bound electron is promoted in energy by εω through absorption of a single photon of frequency ω and subsequently tunnels to the continuum. Due to the physical characteristics of the tunneling process, electron emission is prompt with respect to the incident electric field. For stronger optical fields, the local electric field associated with the optical field directly modifies the tunneling potential, again leading to prompt electron emission. We are able to continuously tune between the photofield and optical field emission regimes by varying the intensity of the driving laser.

In our experiment, the output from a Kerr-lens mode-locked Ti:sapphire laser is focused on a field emission tip. The laser operates at a 1 GHz repetition rate, and produces a train of 48 fs pulses, measured with an interferometric autocorrelator. Due to the physical characteristics of the tunneling process, electron emission is prompt with respect to the incident electric field. For
Fig. 3 shows emission data taken with a DC bias voltage, laser intensity and laser polarization. We studied emission characteristics as a function of the mechanism, and in particular to demonstrate that electron current is related to the tunnel current density through the Fowler-Nordheim equation \[ I = \frac{e^3 F^2}{8 \pi h \Phi t^2(w)} \exp \left[ -\frac{8 \pi \sqrt{2 m \Phi \frac{3}{2}}}{3hF} v(w) \right]. \] (1)

Here, \( e \) is the electron charge, \( h \) Planck’s constant, \( m \) the electron mass, \( 0.4 < v(w) < 0.8 \) is a slowly varying function taking into account the image force of the tunneling electron, \( t^2(w) \approx 1 \) for field emission and \( w = e^{3/2} \sqrt{F/(4\pi \epsilon_0)/\Phi} \). \( F \) is determined through \( F = U/(kr) \) with \( k = 5.7 \). The electron current \( I \) is related to the current density through \( I = 2\pi R^2 j \), with \( R \) the radius of the emitter area.

We use the measurements without illumination and the known work function of tungsten to infer the tip radius \( r \). Since \( r \) does not change under laser illumination, we can then use this value to determine the effective work function when the tip is illuminated with the laser. We deduce that the effective work function is reduced by 1.5 eV under illumination, which corresponds to the energy of the absorbed 810 nm laser photon. We verified that the value of the inferred effective work function was insensitive to laser power for low laser power. Fig. 3(b) shows the polarization dependence of the photocurrent, which exhibits a \( \cos^2 \theta \) behavior, where \( \theta \) is the angle between the tip shank and polarization vector for the field. This is indicative of optical excitation of surface electrons, since translation symmetry prohibits excitation by the field component parallel to the surface \[ 20 \]. Note that for thermally increased field emission we also expect a sinusoidal variation of the photocurrent with polarization angle. However, from Fresnel’s equations we expect that for the given tip geometry and spot diameter the tip is heated less if the light polarization is parallel to the tip and therefore, that the current reaches a maximum at \( \theta = 90^\circ \) \[ 21 \]. We indeed observed such a dependence in cw laser operation with a much smaller modulation depth. Fig. 3(c) displays the spectral analysis of the electron current around the laser repetition rate; a 30 dB signal-to-noise ratio peak is evident at the laser repetition rate. Taken together, these results show that, for these parameters, the processes involved in the electron emission are dominated by photofield emission. Thus we infer that electron emission is prompt with respect to the laser pulse, and rule out possible thermal emission mechanisms associated with laser induced heating of the tip \[ 12 \]. For \( U_{tip} > -1300 \) V more than 98% of the emitted electrons are photo-emitted.

To experimentally determine the relevant emission mechanism, and in particular to demonstrate that electron emission is prompt with respect to the incident field, we studied emission characteristics as a function of the DC bias voltage, laser intensity and laser polarization. Fig. 3 shows emission data taken with a \( r = 130 \) nm tip in the photofield regime. In (a) we measure the emitted current \( I \) as a function of the tip bias voltage \( U \), both with and without the laser illumination. In both cases, data are fit to the Fowler-Nordheim equation \[ 18 \], which relates the tunnel current density \( j \) to the local electric field strength \( F \) and the effective work function \( \Phi \):

\[ j = \frac{e^3 F^2}{8 \pi h \Phi t^2(w)} \exp \left[ -\frac{8 \pi \sqrt{2 m \Phi \frac{3}{2}}}{3hF} v(w) \right]. \]
FIG. 3: (color online) Emission for low laser power. (a) Fowler-Nordheim plots of the DC and photo current (squares and circles). A fit to the DC data (dashed line) yields a tip radius $r$ of $(134 \pm 3)$ nm. The solid line is a fit to photofield emission current with $r = 134$ nm and an effective work function $\Phi = \Phi_W - h\nu = 3$ eV (with laser power $P = 260$ mW, $\Phi_W = 4.5$ eV work function of tungsten). The presence of the laser field $F_{\text{laser}}$ at the tip further reduces the barrier in addition to the field due to the DC voltage applied to the tip. Therefore, we leave $F_{\text{laser}}$ as a free parameter. The solid red line is drawn with the best fit value of $F_{\text{laser}} = 1.1$ GV/m, and the dotted lines represent a deviation of $\pm 25\%$. With the tip's radius of curvature much smaller than the laser wavelength we expect the laser field to be enhanced at the tip apex by a factor of $\sim 5^{[15]}$. By comparing the fitted $F_{\text{laser}}$ to the maximum field calculated in the focal spot in the absence of any material, we infer an enhancement factor of 4.1, in good agreement with the expected factor. (b) Polarization dependence of the photo-current with $U_{\text{tip}} = -1500$ V and $P = 260$ mW for $r = 134$ nm. The data are well fit with a $\cos^2 \theta$ on a flat background (red line). The inset in (a) shows the definition of the angle $\theta$ (in plane perpendicular to laser propagation direction). (c) 1-GHz repetition rate signal measured in the electron current. The measured line width is about 1 Hz at $-3$ dBc, which corresponds to the resolution limit of the spectrum analyzer. Error bars indicate statistical uncertainties.

FIG. 4: (color online) Few atom electron source. (a) Field ion microscope image of a 30 nm radius tip. The zoom-in reveals the central (111) emission area encircled by a ring of 7 atoms, spanning an area of $\lesssim 2$ nm diameter. (b) DC-field emission image of a 30 nm radius tip; only emission from the central (111) plane is visible. (c) Same tip at the same DC-voltage and same gain settings with laser ($P = 260$ mW). Here, emission from the central (111) plane and neighboring (100) planes saturate the MCP. (d) Scanning electron microscope image (SEM) of a typical tip, scale bar 1 $\mu$m.

FIG. 5: (color online) Polarization dependence for high laser power. Photo-current as a function of $\theta$ for a stub as shown in the inset (SEM image, scale bar represents 500 nm). The tip ends as a fairly flat surface facing the MCP. Due to the sharpness of parts of the edges (radius of curvature $\lesssim 100$ nm) field enhancement takes place as for sharp tips ($P = 530$ mW, $U_{\text{tip}} = -100$ V). The line is a fit of the data to optical field emission (see text). Error bars indicate statistical uncertainties.

contributor to the photocurrent. Finally, Fig.4(c) shows the same tip, at the same bias voltage, illuminated with laser pulses. In this image, the MCP is saturated due to the more than 100 times higher count rate. Although the count rates are substantially higher, the basic structure of the image is unchanged, indicating emission is coming from the sites identified in the FIM and non-illuminated FEM images. In this regime less than one electron is emitted per laser pulse. Due to the smallness of the emission area, such an electron beam is well suited to pulsed interferometer applications $^{[2]}$.

For applications which benefit from higher currents but not necessarily atomic-scale localization of the emission sites – we investigated emission from blunt tips. Fig.5 displays the polarization dependence of the emission current for a tip that ends in a flat 1 $\mu$m radius area, but which still exhibits sharp features for field enhancement $^{[24]}$. Under 530 mW illumination, time-averaged photocurrent rises to 40 nA and is, as before, maximal when the field is parallel to the tip. In this case, however, the optical current exhibits a strong nonlinearity in the field component parallel to the tip and can be consis-
tently fit to optical field emission behavior. In this case
\[ j = G(F_{dc} + F_{laser} \cos \theta)^2 \exp \left( -\frac{H}{F_{dc} + F_{laser} \cos \theta} \right). \]
\[ (2) \]
Here, \( F_{laser} \) is the instantaneous absolute value of the laser field at the tip, \( F_{dc} \) the applied dc field, and \( G \) and \( H \) are constants. This expression is obtained from Eq. (1) by taking the local electric field to be the sum of the DC bias field and the incident laser field. Note that this expression is inherently time-dependent due to the presence of \( F_{laser} \). Since we measure the photocurrent time averaged over more than one optical cycle, we fit the data in Fig. 3 to Eq. (2) with \( \cos \theta \) replaced with \( |\cos \theta| \), assuming that electron emission is dominated by emission at the highest field strengths. Note that due to the exponential dependence of tunneling rate on the applied electric field, even modest intensity changes can dramatically alter emission characteristics. At this high laser power we find that sharper tips (\( r < 100 \text{ nm} \)) experience significant redistribution of emitting atoms, by comparing FIM images from before and after tip illumination. On average about 200 electrons per pulse are drawn from the tip for \( \theta = 0 \), which corresponds to an instantaneous current of 500 \( \mu \text{A} \) or \( 3.1 \times 10^{13} \) electrons per second. Assuming the electrons are emitted uniformly over 65 fs and over the entire surface, we can set a lower limit of 15 kA/cm\(^2\) on the instantaneous current density and a lower limit on the invariant brightness of \( 10^{13} \text{A}/(\text{m}^2\text{sr}) \). Both values are comparable to state-of-the-art electron pulses drawn from photocathodes in synchrotron electron sources [7].

In the future, we envision the techniques demonstrated in this work may lead to generation of sub-1 femtosecond pulses from single-atom tips by exploiting the non-linearity in the laser-tip interaction [3, 22]. Likewise, this non-linearity might enable a direct measurement of the carrier-envelope phase of the laser pulse [23, 24, 25]. Since single atom tips have been shown to emit electrons via localized states with a lifetime in the range of a few femtoseconds [26, 31], tip excitation with laser pulses of a similar or shorter duration in the optical field emission regime may lead to the development of deterministic single electron sources [22], which may have important applications in quantum information science. Finally, optimized nano-fabricated tip geometries may lead to sources of unprecedented emission brightness.

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