Search for $b \rightarrow u$ transitions in $B^- \rightarrow [K^+\pi^-\pi^0]_D K^-$

The BABAR Collaboration

March 25, 2022

Abstract

We search for decays of a $B$ meson into a neutral $D$ meson and a kaon, with the $D$ meson decaying into $K^+\pi^-\pi^0$. This final state can be reached through the $b \rightarrow c$ transition $B^- \rightarrow D^0 K^-$ followed by the doubly Cabibbo-suppressed $D^0 \rightarrow K^+\pi^-\pi^0$, or the $b \rightarrow u$ transition $B^- \rightarrow \bar{D}^0 K^-$ followed by the Cabibbo-favored $D^0 \rightarrow K^+\pi^-\pi^0$. The interference of these two amplitudes is sensitive to the angle $\gamma$ of the unitarity triangle. We present preliminary results based on $226 \times 10^6$ $e^+e^- \rightarrow \Upsilon(4S) \rightarrow B\bar{B}$ events collected with the BABAR detector at SLAC. We find no significant evidence for these decays and we set a limit $R_{ADS} \equiv \Gamma([K^+\pi^-\pi^0]_D K^-) + \Gamma([K^-\pi^+\pi^0]_D K^+) \Gamma((K^+\pi^-\pi^0)_{D K^-}) + \Gamma((K^-\pi^+\pi^0)_{D K^-}) < 0.039$ at 95% confidence level, which we translate with a Bayesian approach into $r_B \equiv |A(B^- \rightarrow \bar{D}^0 K^-)/A(B^- \rightarrow D^0 K^-)| < 0.185$ at 95% confidence level.

Submitted to the 33rd International Conference on High-Energy Physics, ICHEP 06, 26 July—2 August 2006, Moscow, Russia.

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Work supported in part by Department of Energy contract DE-AC03-76SF00515.
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1 Introduction

Following the discovery of CP violation in B meson decays and the measurement of the angle \( \beta \) of the unitarity triangle [1] associated with the Cabibbo-Kobayashi-Maskawa (CKM) quark mixing matrix, focus has turned toward the measurements of the other angles \( \alpha \) and \( \gamma \). Following Ref. [2], several methods have been proposed to measure the relative weak phase between the CKM-favored decay modes of interest in which the two kaons have opposite charge, referred to as “wrong sign” events. The two ratios we consider, to separate the sensitivity to the suppressed events, to the corresponding ones in favored decays, where the kaons have the same charge, referred

\[
\Gamma(K^+\pi^-\pi^0)_{D^0K^-} + \Gamma([K^-\pi^+\pi^0]_{D^0K^-}) + \Gamma([K^-\pi^+\pi^0]_{D^0K^-}) + \Gamma([K^-\pi^+\pi^0]_{D^0K^-}) + \Gamma([K^-\pi^+\pi^0]_{D^0K^-}) + \Gamma([K^-\pi^+\pi^0]_{D^0K^-}) + \Gamma([K^-\pi^+\pi^0]_{D^0K^-})
\]

As an extension of the method proposed in Ref. [3], we search for \( B^- \to [K^+\pi^-\pi^0]_{D^0K^-} \), where the CKM-favored \( B^- \to D^0K^- \) decay, followed by the doubly Cabibbo-suppressed \( D^0 \to K^+\pi^-\pi^0 \) decay, interferes with the CKM-suppressed \( B^- \to \bar{D}^0K^- \) decay, followed by the Cabibbo-favored \( \bar{D}^0 \to K^+\pi^-\pi^0 \) decay.

In order to reduce the systematic uncertainties, we measure ratios of branching fractions of the decay modes of interest in which the two kaons have opposite charge, referred to as “wrong sign” events, to the corresponding ones in favored decays, where the kaons have the same charge, referred to as “right sign” events. The two ratios we consider, to separate the sensitivity to the suppressed rate and the CP violation, are:

\[
R_{ADS} = \frac{\Gamma([K^+\pi^-\pi^0]_{D^0K^-}) + \Gamma([K^-\pi^+\pi^0]_{D^0K^-}) + \Gamma([K^-\pi^+\pi^0]_{D^0K^-}) + \Gamma([K^-\pi^+\pi^0]_{D^0K^-}) + \Gamma([K^-\pi^+\pi^0]_{D^0K^-}) + \Gamma([K^-\pi^+\pi^0]_{D^0K^-}) + \Gamma([K^-\pi^+\pi^0]_{D^0K^-})}{r_B^2 + r_D^2 + 2r_B r_D C \cos \gamma}
\]

\[
A_{ADS} = \frac{\Gamma([K^+\pi^-\pi^0]_{D^0K^-}) - \Gamma([K^-\pi^+\pi^0]_{D^0K^-})}{r_B r_D S \sin \gamma / R_{ADS}}
\]

where D-mixing effects are neglected, \( r_B \equiv |A(B \to \bar{D}^0K^-)| / |A(B \to D^0K^-)| \), \( r_D^2 \equiv B(D^0 \to K^+\pi^-\pi^0) / B(D^0 \to K^+\pi^-\pi^0) \), and the C and S parameters take into account the fact that the strong phases of the D decays are a function of the decay kinematics. Indicating with \( \bar{m} \) a point in the Dalitz plane \([m_{K^+}\bar{m}, m_{K^0}\bar{m}]\), with \( |A_D(\bar{m}), \delta(\bar{m})| \) \((|\delta(\bar{m}), \delta(\bar{m})|)\) the absolute value and the strong phase of the D (\( \bar{D} \)) decay amplitudes, and with

![Feynman diagrams for the CKM-favored \( B^- \to D^0K^- \) and the CKM- and color-suppressed \( B^- \to \bar{D}^0K^- \) decays.](image-url)
\( \delta_B \) the strong phase difference between the two interfering \( B \) decays, we have

\[
C = \frac{\int |A_D(m)| A_D(m) \cos(\delta(m) - \delta_B(m)) d\hat{m}}{\sqrt{\int |A_D(m)|^2 d\hat{m} \cdot \int |A_D(m)|^2 d\hat{m}}}
\]

\[
S = \frac{\int |A_D(m)| A_D(m) \sin(\delta(m) - \delta_B(m)) d\hat{m}}{\sqrt{\int |A_D(m)|^2 d\hat{m} \cdot \int |A_D(m)|^2 d\hat{m}}}
\]

Determining the angle \( \gamma \) from the measurements of \( R_{ADS} \) and \( A_{ADS} \) requires extracting the strong phases, for which the available statistics are insufficient. However, the value of \( r_B \) determines, in part, the level of interference between the diagrams of Fig. 1. In most techniques for measuring \( \gamma \), high values of \( r_B \) lead to larger interference and better sensitivity to \( \gamma \). Thus, \( r_B \) is a key quantity for the extraction of \( \gamma \) from other measurements in \( B \to DK \) decays [5]. In this paper we therefore only measure \( R_{ADS} \) and we constrain \( r_B \) by exploiting the fact that in Eq. 1 \( |C| < 1 \).

Both the Belle and \textit{BABAR} collaborations have published similar measurements but in a different decay chain \( (B \to DK \text{ with } D \to K \pi) \) [6]. Unlike those measurements, we can take advantage of the smaller value of \( r_D \), which is \( r_D^2 = (0.214 \pm 0.008 \pm 0.008)\% \) in \( D \to K \pi \pi^0 \) decays as opposed to \( r_D^2 = (0.362 \pm 0.020 \pm 0.027)\% \) in \( D \to K \pi \) decays. This implies that for a given error on \( R_{ADS} \), the sensitivity to \( r_B \) is larger.

## 2 Event Reconstruction and Selection

The results presented in this paper are based on an \( 226 \times 10^6 \, \Upsilon(4S) \to B \bar{B} \) decays collected between 1999 and 2004 with the \textit{BABAR} detector at the PEP-II \( B \) Factory at SLAC [9]. In addition, 15.8 fb\(^{-1}\) of off-resonance data, with center-of-mass (CM) energy 40 MeV below the \( \Upsilon(4S) \) resonance, is used to study backgrounds from continuum events, \( e^+e^- \to q\bar{q} \) \((q = u, d, s, \text{ or } c)\). The \textit{BABAR} detector is described elsewhere [10]. As far as this study is concerned, charged-particle tracking is provided by a five-layer silicon vertex tracker (SVT) and a 40-layer drift chamber (DCH). In addition to providing precise spatial hits for tracking, the SVT and DCH also measure the specific ionization \((dE/dx)\), which is used for particle identification of low-momentum charged particles. At higher momenta \((p > 0.7 \text{ GeV}/c)\) pions and kaons are identified by Cherenkov radiation detected in a ring-imaging device (DIRC). The typical separation between pions and kaons varies from \(8\sigma\) at 2 GeV/c to \(2.5\sigma\) at 4 GeV/c. The position and energy of neutral clusters (photons) are measured with an electromagnetic calorimeter (EMC) consisting of 6580 thallium-doped CsI crystals. These systems are mounted inside a 1.5-T solenoidal super-conducting magnet.

The event selection was developed from studies of \( B \bar{B} \) and continuum events simulated with Monte Carlo techniques (MC), and of off-resonance data. A large on-resonance data sample of \( B^+ \to D^0 \pi^- \), \( D^0 \to K^- \pi^+ \pi^0 \) events was used to validate several aspects of the simulation and analysis procedure. We refer to this mode as \( B \to D \pi \).

In the reconstruction, both kaon candidates are required to satisfy kaon identification criteria, which are based on specific ionization loss measured in the tracking devices and on Cherenkov angles in the DIRC and are typically 85% efficient, depending on momentum and polar angle. Misidentification rates are at the two percent level. The \( \pi^0 \) candidates are reconstructed as pairs of photon candidates in the EMC, each with energy larger than 70 MeV and lateral shower profile consistent with an electromagnetic deposit, with a total energy greater than 200 MeV, and with \( 118.25 < m_{\gamma\gamma} < 145.05 \text{ MeV}/c^2 \). To account for the correlation between the tails in the distribution
of the $K\pi\pi^0$ invariant mass and the $\pi^0$ candidate mass, we require the difference between the two measured masses to be within $32.5$ MeV/$c^2$ of the expected value of 1729.5 MeV/$c^2$. The remaining background from other $B^\pm \rightarrow [h_1h_2\pi^0]Dh_3^\pm$ modes is reduced by removing events where any $h_1h_2\pi^0$ candidate, with any particle-type assignment except for the signal hypothesis for the $h_1h_2$ pair, is consistent with a $D^0$ meson decay.

After these requirements, the background is mostly due to $e^+e^- \rightarrow c\bar{c}$ events, with $c \rightarrow D^0 \rightarrow K^+\pi^-\pi^0$ and $e \rightarrow D \rightarrow K^-$. In order to discriminate against them we use a neural network $(NN)$ with six quantities that distinguish continuum and $B\bar{B}$ events: (i) $L_0 = \sum_i p_i$ and (ii) $L_2 = \sum_i p_i \cos^2 \theta_i$, both calculated in the CM frame. Here, $p_i$ is the momentum and $\theta_i$ is the angle with respect to the thrust axis of the $B$ candidate of tracks and clusters not used to reconstruct the $B$. (iii) The angle in the CM frame between the thrust axes of the $B$ and of the detected remainder of the event. (iv) The polar angle of the $B$ candidate in the CM frame. (v) The distance of closest approach between the bachelor track and the trajectory of the $D$ meson. This is consistent with zero for signal events, but can be larger in $c\bar{c}$ events. (vi) the distance along the beams between the reconstructed vertex of the $B$ candidate and the vertex of the other tracks in the event. This is consistent with zero for continuum events, but is sensitive to the $B$ lifetime for the signal events.

The $NN$ is trained with simulated continuum and signal events. We find agreement between the distributions of all six variables in simulation and in control samples of off-resonance data and of $B \rightarrow D\pi$ events. We apply a loose pre-selection on the $NN$ ($0.4 < NN < 1.0$) with a 90% efficiency on signal and a 68% rejection power over continuum, but then use the $NN$ itself in the likelihood fit to fully exploit its discriminant power.

A $B$ candidate is characterized by the energy-substituted mass $m_{ES} \equiv \sqrt{\left(\frac{s}{2} + \vec{p}_0 \cdot \vec{p}_B\right)^2/E_0^2 - \vec{p}_0^2}$ and energy difference $\Delta E \equiv E_B^* - \frac{1}{2}\sqrt{s}$, where $E$ and $p$ are energy and momentum, the asterisk denotes the CM frame, the subscripts 0 and $B$ refer to the initial $e^+e^-$ state and $B$ candidate, respectively, and $s$ is the square of the CM energy. For signal events $m_{ES}$ is centered around the $B$ mass with a resolution of about 2.5 MeV/$c^2$, and $\Delta E$ is centered at zero with an RMS of 0.017 GeV.

Considering both the right sign and the wrong sign sample, 28621 events survive the selection described above and the loose requirements $|\Delta E| < 100$ MeV and $m_{ES} > 5.2$ GeV/$c^2$. The dominant background still comes from continuum events, but we also need to take into account background from $\Upsilon(4S) \rightarrow B\bar{B}$ ("$B\bar{B}$") events. We consider separately the $B \rightarrow D\pi$ background since it differs from the signal only in the $\Delta E$ distribution. This decay mode has a very low value of $r_B$ ($\sim r_B(D^0K)\lambda^2$, where $\lambda \sim 0.22$ is the sine of the Cabibbo angle), and therefore in the likelihood fit we will consider it as a background only for the right sign sample.

### 3 Likelihood Fit and Results

The signal and background yields are extracted by maximizing the extended likelihood $L = e^{-N'} N' \prod_{i=1}^{N'} L_i(x_i)/N'!$. Here $N' = N_{DK} + N_{cont} + N_{BB} + N_{D\pi}$ is the sum of the yields of the signal and the three background contributions, $\bar{x} = \{NN, \Delta E, m_{ES}\}$, and the likelihood of the individual events ($L_i$) is defined as

\[
L(\bar{x}) = \frac{N_{DK}}{1 + R_{ADS}} f_{DR}(\bar{x}) + \frac{N_{RS}}{1 + R_{cont}} f_{cont}(\bar{x}) + \frac{N_{BB}}{1 + R_{BB}} f_{BB}(\bar{x}) + N_{D\pi} f_{D\pi}(\bar{x})
\] (3)
for right sign events and

\[
\mathcal{L}(\vec{x}) = \frac{N_{DK} R_{ADS} f_{DK}^{WS}(\vec{x})}{1 + R_{ADS}} + \frac{N_{cont} R_{cont} f_{cont}^{WS}(\vec{x})}{1 + R_{cont}} + \frac{N_{BB} R_{BB} f_{BB}^{WS}(\vec{x})}{1 + R_{BB}}
\]

for wrong sign events.

We have defined \( R \) parameters for the backgrounds with the same definition as in Eq. 1. The individual probability density functions \( (f) \) are derived from the MC and the three variables are considered uncorrelated in all cases, apart from \( m_{ES} \) and \( \Delta E \) for the \( D\pi \) background, since the correlations are not negligible. For the latter we have therefore utilized a two dimensional non-parametric distribution \[12\]. The \( NN \) distributions are all modeled with a histogram with eight bins between 0.4 and 1. The \( m_{ES} \) distributions are modeled with a Gaussian in the case of the signal, a threshold function \[13\] in the case of the continuum background, and the sum of a threshold function and a Gaussian function with an exponential tail in the case of the \( B\overline{B} \) background. Finally, the \( \Delta E \) distributions are parametrized with the sum of two Gaussians in the case of the signal, an exponential in the case of the continuum background, and a double exponential in the case of the \( B\overline{B} \) background.

We perform the fit by floating the four total yields \( (N_{DK}, N_{cont}, N_{BB}, and N_{D\pi}) \), the three \( R \) variables and the shape parameters of the threshold function used to parametrize \( m_{ES} \) for the same and opposite sign continuum background. Figure 2 shows the distributions of the three variables in the selected sample (separately for same sign and opposite sign events), with the likelihood projections overlaid. The fit yields \( R_{ADS} = 0.012^{+0.012}_{-0.010} \), \( N_{DK} = (14.7 \pm 0.6) \times 10^2 \), \( N_{cont} = (239.3 \pm 2.1) \times 10^2 \), \( N_{BB} = (25.5 \pm 1.6) \times 10^2 \), \( N_{D\pi} = (6.7 \pm 0.4) \times 10^2 \), \( R_{cont} = 3.05 \pm 0.07 \), \( R_{BB} = 0.42 \pm 0.07 \).

Equation 3 assumes that the efficiencies are the same between the right and the wrong sign signal samples, regardless of the different Dalitz structure. This has been tested on MC and proved to be true within a statistical error of 4%. We then consider this as a systematic error on \( R_{ADS} \). We also repeated the fit by varying the probability density function parameters obtained with MC within their statistical errors and by estimating \( f_{cont}^{WS} \) on off-resonance data and \( f_{DK}^{WS} \) on exclusively reconstructed \( D\pi \) events. To account for the observed variations, we assign a 0.008 systematic error on \( R_{ADS} \). The uncertainty due to \( B \) decays with distributions similar to the signal, in particular \( B \rightarrow D^{(*)}\pi, D^{*}K, D^{(*)}K^{*} \), and \( KK\pi\pi^{0} \), is estimated by varying their branching fractions within their known errors and found to be 0.00006 on \( R_{ADS} \), and therefore negligible. The absence of further modes which might fake signal has been checked comparing data and MC samples in the sidebands of the \( \Delta E \) and \( m_{D^{0}} - m_{\pi\pi} \) distributions.

Following a Bayesian approach, we extract \( r_{B} \) by defining the a posteriori probability

\[
\mathcal{L}(r_{B}) = \frac{\int p(r_{B}, r_{D}, \xi) \mathcal{L}(R_{ADS}(r_{B}, r_{D}, \xi)) dr_{D} d\xi}{\int p(r_{D}^{K^{+}}, r_{D}, \xi) \mathcal{L}(R_{ADS}(r_{B}, r_{D}, \xi)) dr_{D} d\xi dr_{B}},
\]

where \( \xi = C \cos \gamma \), \( R_{ADS}(r_{B}, r_{D}, \xi) \) is given in Eq. 1, and \( p(r_{B}, r_{D}, \xi) \) is the a priori probability for these three quantities. They are considered uncorrelated, with \( \xi \) and \( r_{D} \) distributed flat in the range \([-1, 1]\) and \([0, 1]\) respectively. The a priori probability for \( r_{D} \) is a Gaussian consistent with \( r_{D}^{2} = (0.214 \pm 0.008 \pm 0.008)\% \) \[14\]. The likelihood \( \mathcal{L}(R_{ADS}) \) is obtained by convolving the likelihood returned by the fit with a Gaussian of width 0.0076, equivalent to the systematic uncertainty.

Figure 3 shows \( \mathcal{L}(R_{ADS}) \) and \( \mathcal{L}(r_{B}) \). We set a 95% confidence level (C.L.) limit, by integrating the likelihood starting from \( R_{ADS} = 0 \) \( (r_{B} = 0) \), thus excluding unphysical values, and we define
the 68% C.L. region, for each variable \( r = R_{ADS} \) or \( r_B \), as the interval where \( \mathcal{L}(r) > \mathcal{L}_{\text{min}} \) and

\[
68\% = \int_{\mathcal{L}(r) > \mathcal{L}_{\text{min}}} \mathcal{L}(r) \, dr.
\]

4 Conclusions

In summary, we measure the ratio of the rate for the \( B^\pm \to [K^\mp \pi^\pm \pi^0]D K^\pm \) decay to the favored decay \( B^\pm \to [K^\pm \pi^\mp \pi^0]D K^\pm \) to be \( R_{ADS} = 0.013^{+0.012}_{-0.010} \text{(stat)}^{+0.010}_{-0.007} \text{(sys)} \). This result is consistent in central value and similar in sensitivity with our completely independent previously published result \footnote{BaBar Collaboration, B. Aubert \textit{et al.}, Phys. Rev. Lett. 95, 121802 (2005).}. The measurement is not significant and therefore we set a 95% C.L. limit \( R_{ADS} < 0.039 \).

We use this information to infer the ratio of the magnitudes of the \( B^+ \to \bar{D}^0 K^- \) and \( B^- \to D^0 K^- \) amplitudes to be \( r_B = 0.091 \pm 0.059 \) and consequently set a limit \( r_B < 0.185 \) at 95% C.L.

We are grateful for the extraordinary contributions of our PEP-II colleagues in achieving the excellent luminosity and machine conditions that have made this work possible. The success of this project also relies critically on the expertise and dedication of the computing organizations that support BABAR. The collaborating institutions wish to thank SLAC for its support and the kind hospitality extended to them. This work is supported by the US Department of Energy and National Science Foundation, the Natural Sciences and Engineering Research Council (Canada), Institute of High Energy Physics (China), the Commissariat à l’Energie Atomique and Institut National de Physique Nucléaire et de Physique des Particules (France), the Bundesministerium für Bildung und Forschung and Deutsche Forschungsgemeinschaft (Germany), the Istituto Nazionale di Fisica Nucleare (Italy), the Foundation for Fundamental Research on Matter (The Netherlands), the Research Council of Norway, the Ministry of Science and Technology of the Russian Federation, Ministerio de Educación y Ciencia (Spain), and the Particle Physics and Astronomy Research Council (United Kingdom). Individuals have received support from the Marie-Curie IEF program (European Union) and the A. P. Sloan Foundation.

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Figure 2: Likelihood fit projection of the $NN$, $\Delta E$, and $m_{ES}$ distributions separately for the same (top) and opposite (bottom) sign sample. To visually enhance the signal, the distributions for the latter sample are shown after cuts, with a 67% signal efficiency, on the ratios between the signal and the signal plus background likelihood of all the variables other than the one shown. The points with error bars represent the data while the dashed, dash-dotted, and solid lines represent the contribution from continuum, $B\bar{B}$, and $D\pi$ background, respectively. The dotted line represents the signal contribution, visible only in the same sign sample.
Figure 3: Likelihood as a function of $R_{ADS}$ (left) and of $r_B$ (right). While the left plot shows the actual experimental result of the measurements, the right plot is obtained in a bayesian approach assuming flat prior distributions for $r_B$, $C$ and $\gamma$. The 68% and 95% region are shown in dark and light shading respectively.