Interfacial interaction and enhanced image contrasts in higher mode and bimodal mode atomic force microscopy

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Higher mode and bimodal atomic force microscopy (AFM) are two recently developed imaging modes of dynamic AFM for improving resolution. In higher mode, the higher flexural mode of the cantilever instead of the traditional fundamental eigenmode is excited. In bimodal mode, two flexural modes of the cantilever are simultaneously excited for obtaining more information about the properties of the material. The first three flexural modes for higher mode and superposition of two excitation signals for bimodal mode are explored and compared by imaging a polymer blend of polystyrene (PS) and low density polyethylene (LDPE). The effects of different operating conditions of the two imaging modes are researched to improve image contrast and material discrimination. Dissipated power and virial are employed to explain the origin of contrast for the complex and highly nonlinear dynamical tip-sample interfacial system. Amplitude and phase contrasts of each single mode and bimodal mode are calculated by Ashman’s D statistical equation. It is found that higher single modes with small free amplitudes show enhanced phase contrast. The bimodal of the first and the third modes gains a clear advantage over the bimodal of the first and second modes for phase and amplitude image contrasts. In addition, the best contrast of bimodal imaging occurs when it is a combination of a large free amplitude for the first mode and a small free amplitude for the third mode.

1. Introduction

Amplitude modulated atomic force microscopy (AM-AFM)\(^1\) has been widely applied to a variety of materials for nanoscale imaging and mechanical characterization. In recent years, higher modes\(^2\) and multiple frequency AFM\(^5\) have been new extensions of the conventional amplitude modulated mode for high resolution imaging of compositional materials. In higher modes, the cantilever is excited by using one of the higher flexural modes instead of the first eigenmode. While in multiple frequency techniques, the cantilever is driven at multiple resonant frequencies. Typically, the multiple frequency mode provides extra response channels of amplitude and phase which can be used to characterize hidden features. Bimodal mode,\(^11\) most common one of multiple frequency AFM, has been first proved the ability of mapping compositional materials in enhanced resolution and sensitivity by Rodríguez and García. Two lock-in amplifiers are employed to demodulate signals with respect to both driving frequencies in bimodal mode. Amplitude of the first mode is kept constant by feedback control system and height provides the topography information of sample. The second excitation is not constrained to map changes in mechanical, magnetic or electrical properties by recording the variation of amplitude and phase in the second mode.\(^8,15\)

Enhanced phase contrast on a soft biological sample by driving the third eigenmode of a v-shaped silicon cantilever was observed by Stark et al.\(^3\) The higher mode amplitude was used as the feedback loop error signal in single mode. Martinez et al.\(^11\) demonstrated that bimodal AFM was more sensitive to compositional changes and made compatible high resolution imaging of isolated IgG antibodies under very low forces. Sommerhalter et al.\(^16\) have reported on Kelvin probe microscopes using the fundamental eigenmode for topography imaging and the second flexural mode for probing the electrostatic properties. Although previous researches have shown the ability of higher mode and bimodal mode, it is important to understand what pivotal roles of imaging parameters such as free amplitudes and setpoint of each mode play. In most previous bimodal works, free amplitude in first mode is always set to be one order of magnitude higher than that in higher mode. In addition, they prefer to select the first two flexural modes of the cantilever in bimodal experiments. The influence of higher mode except the second one and great amplitudes of higher mode on imaging are lack of research.

In this present work, a standard sample PS-LDPE polymer blend was chosen because of its features of multicomponent and representative. We imaged the polymer blend by higher single modes and bimodal modes. Driving signals of the single
mode were the first, second and third flexural modes of the cantilever, respectively. Different free amplitudes and amplitude setpoint ratios were defined in the experiments. Driving signals of bimodal were the combination of the first and second, and first and third modes, respectively. Similarly, different free amplitudes of both driving signals were tried in bimodal imaging mode. For the complex nonlinear interaction system of the tip-sample, dissipated power and virial have been employed to plot the relative dominance of conservative and non-conservation (dissipative) interfacial interactions.\textsuperscript{17–19} Energy transfer or change between two modes may determine the origin of the contrast.\textsuperscript{20} Phase contrast is closely connected to the magnitude of the dynamic dissipated power per vibrating cycle during the cantilever scanning on the surface by AM-AFM mode.\textsuperscript{21} Additionally, virial theorem establishes a connection between phase and the time-averaged interaction force.\textsuperscript{22} Virial can be interpreted as the average stored energy (potential energy) of the tip-sample interaction.\textsuperscript{23,24} Average dissipated power $P_i$ and virial $V_i$ for each mode were calculated for PS and LDPE images obtained by the single and bimodal modes, respectively. Expressions of $P_i$ and $V_i$ for each mode are the followings\textsuperscript{25,26}

$$P_i = \pi \frac{f_i k_i A_i^2}{Q_i} \left[ \frac{A_{ii}}{A_i} \sin \phi_i - 1 \right],$$

$$V_i = \frac{k_i A_i}{2} \left[ -\frac{A_{ii}}{Q_i} \cos \phi_i \right].$$

where $f_i$ is the $i$th mode free resonance frequency (driving frequency in experiments), $k_i$ is the $i$th mode dynamic spring constant, $A_i$ is the $i$th mode scanning amplitude, $A_{ii}$ is the $i$th mode free amplitude, $Q_i$ is the $i$th mode quality factor, $\phi_i$ is the $i$th mode phase.

Based on quantitative contrast of amplitude and phase, operating conditions can be optimized. To quantify image contrast at different free amplitudes and variation setpoint ratios, pixel values can be extracted and calculated the histogram of response from each phase image. It may appear as two distinct peaks which is a continuous probability distribution. Fit the normalized histograms and the bimodal distribution function is given by\textsuperscript{27}

Fig. 1  Control schemes of (a) single mode and (b) bimodal imaging in Cypher AFM equipment.
\[ f(\varphi) = p \frac{1}{\sigma_1\sqrt{2\pi}} e^{-\frac{(\varphi-\mu_1)^2}{2\sigma_1^2}} + (1-p) \frac{1}{\sigma_2\sqrt{2\pi}} e^{-\frac{(\varphi-\mu_2)^2}{2\sigma_2^2}} \]  \hspace{1cm} (3)

where \( \mu_1 \) and \( \mu_2 \) are the means of the two normal distributions of PS and LDPE, \( \sigma_1 \) and \( \sigma_2 \) are the standard deviations. One material is masked, then \( \mu \) and \( \sigma \) of the other material could be fit and calculated. For bimodal distributions, mean values and standard deviations are two main factors to define the average and quantify the amount of variation or dispersion of a set of phase values \( (0 < \varphi < \pi) \). Ashman’s D is employed to quantify phase and amplitude image contrast and \( D > 2 \) is a necessary condition for a clean separation of two mixed materials. \( D \) can be calculated by the following simple statistical formula \(^{28,29}\)

\[ D = 2\frac{1}{\sqrt{\sigma_1^2 + \sigma_2^2}} |\mu_1 - \mu_2| . \]  \hspace{1cm} (4)

Contrast of a series of single and bimodal experiments on PS-LDPE polymer blend are calculated and summarized. High modes with small free amplitudes show better contrast between two different components. Bimodal AFM also shows excellent contrast by extra response signals, especially for the combination of the first and third modes. Regular changes of contrast which depend on the choice of operation parameters and driving modes will be analyze and discussed here.

2. Experimental details

We performed high frequency single and bimodal imaging experiments using a commercial set of Cypher AFM (Asylum Research, Santa Barbara, CA) equipped with wide bandwidth circuit and high frequency cantilever holders. The polymer blend of polystyrene (PS) \( (E_{PS} \approx 2.0 \text{ GPa}) \) and low density polyethylene (LDPE) \( (E_{LDPE} \approx 0.1 \text{ GPa}) \) purchased from Bruker Nano Inc. was used for all designed experiments. Circular domains (LDPE) are mixed in substrate (PS matrix). The inverse optical lever sensitivities (InvOLS) were calibrated from dynamic amplitude approaching curves on a freshly cleaved mica surface for the first, second and third flexural modes. Based on the equipartition theorem, the spring constants \( k_1, k_2, k_3 \) can be obtained via fitting the thermal data around their respective peak which are gathered from thermal noise power spectra method. \(^{30}\) At the same time, three fundamental flexural resonance frequencies and quality factors are calculated. Calibrating a frequently-used cantilever AC240 with this method, the first, second and third flexural resonance frequencies are \( f_1 = 80.510 \text{ kHz}, f_2 = 482.299 \text{ kHz}, f_3 = 1.318 \text{ MHz} \); three dynamic spring constants are \( k_1 = 2.22 \text{ N m}^{-1}, k_2 = 89.46 \text{ N m}^{-1} \) and \( k_3 = 483.7 \text{ N m}^{-1} \). In addition, quality factors of three modes are \( Q_1 = 184.1, Q_2 = 475.8 \) and \( Q_3 = 615.5 \), respectively.

The tip-cantilever system was driven by user-fixed amplitudes close to the free oscillation resonance frequencies. In single experiments, different free amplitudes \( A_0 \) (20 nm, 30 nm

![Response signals of bimodal imaging](image)

**Fig. 2** Response signals of bimodal imaging (a) height, (b) \( A_2 \), (c) \( \varphi_1 \) and (d) \( \varphi_2 \). The amplitude and the phase images are in nm and degrees, respectively.
and 40 nm) of the first, second and the third flexural modes were chosen, and the amplitude setpoint ratios are around 0.05–0.85. In the resonance condition, the phase offset between driving force signal and tip deflection is always 90 degrees. In bimodal experiments, different values of the main amplitude $A_{01}$ (free amplitude of first mode) were also chosen 20 nm, 30 nm and 40 nm. Varying free amplitudes of the second mode (1–50 nm) or the third mode (1–20 nm) were used as another drive signal in bimodal mode. When the tip approaches the surface, tip-sample interaction forces caused changes in both amplitude and phase of the vibrating cantilever. During the whole experiment process, the second free amplitude $A_{02}$ or $A_{03}$ decreased gradually. Amplitude change of first mode was used as the feedback signal. If the phase shift was positive, the imaging mode was generally considered as attractive mode. On the contrary, if the phase shift was negative, the mode is referred to as repulsive mode.\footnote{31}

Compared to single experiments, two sinusoidal excitation voltages were added to the piezo stack and applied to drive the cantilever simultaneously in bimodal imaging modes. Normally, the first amplitude was kept constant at the setpoint value by feedback circuit exactly like the single AM-AFM. Amplitude and phase of another response signal are not constrained by any feedback system. Material contrasts were calculated on basis of the single and bimodal experiments which directly embody the advantages of high frequency and bimodal mode. Control schemes of single and bimodal AM-AFM imaging modes in Cypher equipment were shown in Fig. 1.

### 3. Results and discussion

2.5 $\mu$m $\times$ 2.5 $\mu$m sample area which contains PS and LDPE regions was scanned by single and bimodal imaging modes. In single mode, phase shift signal could be measured and recorded with different setpoint for different free amplitudes ($A_{01}$, $A_{02}$, $A_{03}$) based on Fig. 1(a). In bimodal mode, extra driving signal provides two additional response signals. Therefore, $\Phi_1$ (phase of the first mode), $A_2$ (scanning amplitude of the second mode) and $\Phi_2$ (phase of the second mode) response signals could be measured and recorded based on Fig. 1(b). When the second driving signal was in the third resonant frequency, $A_2$ and $\Phi_2$ would be instead by $A_3$ (scanning amplitude of the third mode) and $\Phi_3$ (phase of the third mode). Fig. 2 shows response signals of bimodal imaging on a selected PS-LDPE area, (a) height, (b) $A_2$, (c) $\Phi_1$ and (d) $\Phi_2$.

![Fig. 2](image2.png)

**Fig. 2** Response signals of bimodal imaging on a selected PS-LDPE area, (a) height, (b) $A_2$, (c) $\Phi_1$ and (d) $\Phi_2$.

![Fig. 3](image3.png)

**Fig. 3** (a) Phase $\Phi_1$, (b) phase $\Phi_2$ and (c) phase $\Phi_3$ of single modes are summarized with different $A_{01}$, $A_{02}$ and $A_{03}$. The amplitude and the phase images are in nm and degrees, respectively.

![Fig. 4](image4.png)

**Fig. 4** Dissipated power measured on PS-LDPE with different free amplitudes $A_0$. (a) First mode, (b) second mode, and (c) third mode.
3.1. Single imaging

Phase might lie above or below 90 degrees which defines two distinct force regimes in standard AM-AFM. Two regimes are attractive regime (net attractive force) and repulsive regime (net repulsive force), respectively. Fig. 3 displays the phase shift curves on PS and LDPE regions for the first, second and third resonance frequency modes respectively. In Fig. 3(a), the phase shift values of PS and LDPE in the first mode are all above 90 degrees when the free amplitude $A_{01} = 20$ nm, 30 nm and 40 nm. Therefore, it can be considered that the tip scanned in the net attractive mode. Obviously, the phase shift of PS and LDPE both change bigger with the increase of free amplitude and the decrease of setpoint. In Fig. 3(b), the phase shift curves of PS and LDPE in the second mode show a process of first increase and then decrease when the setpoint lower gradually. It indicates that the tip goes through the attractive force regime (setpoint ratio mainly from 0.25–0.9) and reach the repulsive force regime (setpoint ratio mainly from 0.05–0.25). Lower turning points about 0.1 occur in the phase curves of $A_{02} = 40$ nm. That is because great free amplitudes might help the tip escape from the adsorption range. Fig. 3(c) shows the phase shift curves of PS and LDPE in the third mode. Phase shift of different curves drop below 90 degrees when the setpoint ratio varies between 0.4–0.75. When free amplitude $A_{03} > 40$ nm was chosen, the polymers always were destroyed in experiments. Therefore, $A_{03} = 20$ nm, 30 nm and 40 nm were properly chosen in the third mode. Clearly, it has a shorter range of attractive regime when the cantilever is driven by higher mode under the same free amplitude.

The amplitude and phase signals can be converted into dissipated power and virial which are closely related to the non-conservative and conservative tip-sample interactions across the sample, respectively. Fig. 4(a)–(c) display the dissipated power curves in PS and LDPE regions with different free amplitudes for the first, second and third modes, respectively. In Fig. 4(a), dissipated power in PS and LDPE regions show half a parabolic monotone increasing trends with the increase of setpoint ratio for all free amplitudes $A_{01}$. In addition, the power in LDPE region dissipates significantly more than that in PS region for the same $A_{01}$. Fig. 4(b) shows the dissipated power curves in PS and LDPE regions for all free amplitudes $A_{02}$. The parabolic shape dissipation curves display crossing phenomenon between PS and LDPE which are different from the first mode. The power in PS region dissipates significantly more than that in LDPE region during the middle range of setpoint when the $A_{02} = 40$ nm. On the contrary, dissipated power in PS region is a little bit small than that in LDPE region when the $A_{02} = 30$ nm and 20 nm. Fig. 4(c) depicts dissipated power...
curves in PS and LDPE regions for all free amplitudes $A_{03}$. Parabolic curves of PS and LDPE for the same free amplitude $A_{03}$ are rather close. Obviously, higher modes correspond to greater power dissipation because of higher resonance frequencies and larger spring constants.

Fig. 5 displays the corresponding virial curves in PS and LDPE regions for Fig. 3. The sign of virial might take positive or negative values because of the cosine value of phase. In Fig. 5(a), the first mode virial curves of PS-LDPE remain parabolic shape. Greater free amplitudes of $A_{01}$ show more virial. Virial values in PS regions are larger than that in LDPE region for the same $A_{01}$. In Fig. 5(b), the virial becomes negative when the setpoint ratios are rather low in the second mode. It agrees with that greater amplitudes or high modes lead to contact or greater penetration into the sample which in turn results in greater repulsive forces. The values of virial are $-2.12$ to $38.9$ aJ (PS) and $-4.7$ to $45.1$ aJ (LDPE) for $A_{02} = 40$ nm. In Fig. 5(c), the virial becomes more negative on a large scale of setpoint ratio in the third mode. Therefore, greater repulsive force often occur in higher mode, which might damage soft samples.

Significant phase contrast differences can be observed qualitatively by operating in repulsive regime of AM-AFM mode. The methods described in some literatures have been used extensively in mapping relative differences between various regions of a multi-component sample. Higher single mode and bimodal mode response signals are quantitatively converted to contrast in this article which is beneficial to optimize the imaging conditions in experiments. Fig. 6 displays phase contrast curves of first, second and third modes, respectively. In Fig. 6(a), contrast of phase $\varnothing_1$ for $A_{01} = 20$ nm, $30$ nm and $40$ nm present parabolic shapes. Greater free amplitudes show better contrast and the best one is $10.95$ where $A_{03} = 40$ nm and setpoint ratio is $0.25$. In Fig. 6(b), contrast values of phase $\varnothing_3$ are relatively high for $A_{02} = 20$ nm and the best contrast is $9.76$ where the setpoint ratio is $0.65$. In Fig. 6(c), better contrast of phase $\varnothing_3$ for different $A_{03}$ are shown at low setpoint ratios. The best contrast among three modes is $20.3$ when the setpoint ratio is $0.10$ of $A_{03} = 20$ nm. Therefore, same or even better contrast can be obtained in high modes with small free amplitudes.

3.2. Bimodal imaging

Phase of bimodal mode with different free amplitude $A_{01}$ and $A_{02}$ ($A_{01}$ and $A_{03}$) were also recorded. Free amplitude of the first flexural mode $A_{01}$ is a crucial parameter which may determine the interaction force regime. The second (third) flexural mode free amplitude $A_{02}$ ($A_{03}$) varied sequentially in a small interval over the course of a specific free amplitude $A_{01}$. Unlike other reports, a wide range of $A_{02}$ ($A_{03}$) values were chosen to drive the cantilever along with $A_{01}$. The optional non-destructive ranges of the free amplitude for $A_{02}$ ($A_{03}$) were $1.2$–$49.4$ nm ($0.48$–$20$ nm) which may not damage the microstructure of the sample. According to the principle of control shown in Fig. 1(b), two phase signals both can be collected dynamically in bimodal imaging mode. The setpoint ratio of the first mode amplitude was $\sim 0.5$ which can ensure imaging from attractive regime to
Fig. 8  Dissipated power measured on PS-LDPE in bimodal mode with different free amplitudes $A_0$. (a) and (b) are the dissipation curves of the first mode and the second mode for different $A_{01}$ (20 nm, 30 nm, 40 nm) versus varying $A_{02}$ (1.2–49.4 nm); and (c), (d) are the dissipation curves of the first mode and the third mode for different $A_{01}$ (20 nm, 30 nm and 40 nm) versus varying $A_{03}$ (0.48–20 nm).

Fig. 9  Virial measured on PS-LDPE in bimodal mode with different free amplitudes. Bimodal of first and second modes: (a) and (b) are the virial curves of the first mode and the second mode for different $A_{01}$ (20 nm, 30 nm, 40 nm) versus varying $A_{02}$ (1.2–49.4 nm); and bimodal of first and third modes: (c) and (d) are the virial curves of the first mode and the third mode for different $A_{01}$ (20 nm, 30 nm, 40 nm) versus varying $A_{03}$ (0.48–20 nm).
repulsive regime. The phase of the first mode $\varnothing_1$ and the second mode $\varnothing_2$ (third mode $\varnothing_3$) curves obtained in the bimodal scanning process are shown in Fig. 7. Fig. 7 summarizes the changes of phase values in PS and LDPE regions with different free amplitudes $A_{01}$ and $A_{02}$ ($A_{03}$). Fig. 4(a) and (b) are $\varnothing_1$ and $\varnothing_2$ curves when the cantilever was driven by the first and second flexural modes, and the Fig. 4(c) and (d) are $\varnothing_1$ and $\varnothing_3$ results when the bimodal signals are in the first and third flexural modes. In Fig. 7(a), $\varnothing_1$ curves present a trend of monotone increasing in LDPE region and a trend of first increase and then decrease on PS region with the gradually increasing of $A_{02}$ from 1.2–49.4 nm. Almost all phase points on the curves are above 90 degrees which corresponds to attractive mode. In Fig. 7(b), $\varnothing_2$ curves show a trend of first increase and then decrease both in PS and LDPE regions with the gradually increasing of $A_{02}$. Values of $\varnothing_3$ are all above 90 degrees. Fig. 7(c) and (d) respectively show $\varnothing_1$ and $\varnothing_3$ curves where the bimodal signals are the first and third modes. The trends of the $\varnothing_1$ and $\varnothing_3$ curves are similar to the trends of $\varnothing_1$ and $\varnothing_2$ in Fig. 7(a) and (b). The difference is that the range of $A_{03}$ is from 0.48 nm to 20 nm.

**Fig. 10** Amplitude and phase contrast curves of different free amplitudes $A_{01}$ and $A_{02}$ ($A_{03}$) for two types bimodal modes. Bimodal of first and second modes: (a) imaging schematic, (b) $A_2$ contrast, (c) $\varnothing_1$ contrast and (d) $\varnothing_2$ contrast; bimodal of first and third modes: (e) imaging schematic, (f) $A_3$ contrast, (g) $\varnothing_1$ contrast and (h) $\varnothing_3$ contrast.
Because of the dynamic spring constant of the third mode is quite large which makes the tip harder and easily break through the attractive regime with comparatively small amplitudes.

Similarly, the interfacial interactions between probe tip and PS-LDPE are also investigated for bimodal mode. Dissipated power curves of PS and LDPE in bimodal mode are displayed in Fig. 8 with different free amplitudes for each mode. Fig. 8(a) and (b) are the dissipation curves of the first mode and the second mode versus varying free amplitudes of the second mode \( A_{02} \) (1.2–49.4 nm) and (c), (d) are the dissipation of the first mode and the third mode versus \( A_{03} \) (0.48–20 nm), respectively. The trends of PS and LDPE dissipation curves in Fig. 8(a) are contrary to those of the first mode phase in Fig. 7(a). Fig. 8(b) shows consistent exponential growth curves of PS-LDPE dissipation for all \( A_{01} \). Maximum values of dissipated power are about 68 pW at \( A_{02} = 49.4 \) nm, and minimum values of dissipated power are about 0.07 pW at \( A_{02} = 1.2 \) nm. In Fig. 8(c), greater free amplitude \( A_{01} \) corresponds to more dissipated power both in PS and LDPE regions clearly. In Fig. 8(d), the maximum values of dissipated power are about 108–126 pW at \( A_{03} = 20 \) nm, and minimum values of dissipated power are about 0.07 pW at \( A_{03} = 0.48 \) nm for all three \( A_{01} \). Therefore, dissipated power of the first mode (~2.0 pW) is obviously much smaller than that of the second mode (~68 pW) and the third mode (~126 pW).

Virial of bimodal images are also calculated to analyse the energy transfer in the presence of conservative and dissipative interactions of multi modes. Fig. 9 shows the virial curves plotted from two type bimodal modes. In Fig. 9(a) and (c), the virial trends of first mode just like that in Fig. 7(a) and (c), respectively. Greater free amplitudes correspond to more dissipative virial in LDPE region. Different from small free amplitudes of \( A_{02} \) and \( A_{03} \), virial decrease for \( A_{01} = 40 \) nm during greater \( A_{02} \) and \( A_{03} \) in PS region. Fig. 9(b) and (d) both display half a parabolic monotone increasing trends with the increase of \( A_{03} \) and \( A_{01} \).

Contrast of bimodal response signals are also calculated and plotted in Fig. 10. For combination of first and second modes or first and third modes, there are three signals, \( A_{2} \), \( O_{1} \) and \( O_{2} \) (\( A_{1} \), \( O_{1} \) and \( O_{3} \)) for determined bimodal mode which can present material components and properties. These three signals can be employed to image the surface topography, especially the contrasts of component material. Fig. 10(a) and (c) show the imaging schematics of two types bimodal mode in our experiments. In Fig. 10(b), curves show relatively better contrasts of \( A_{2} \) when \( A_{02} \) is during 10–30 nm. In Fig. 10(c) and (d), curves show relatively better contrasts when \( A_{02} \) is during 1–10 nm. The highest contrast value for this bimodal mode is 12.8 when the free amplitude of the first mode and second mode are 40 nm and 5 nm, respectively. While beyond that, PS and LDPE almost can not be distinguished by \( O_{1} \) and \( O_{2} \) images because of \( D < 2 \). In Fig. 10(f), curves show relatively better contrasts of \( A_{3} \) when \( A_{03} \) is during 5–17.5 nm. In Fig. 10(g) and (h), contrast curves of \( O_{1} \) and \( O_{3} \) are all above \( D = 2 \). Greater free amplitude \( A_{03} \) shows higher contrast values. Small free amplitude \( A_{03} \) (0.48–3 nm) present better contrast for \( O_{1} \) and \( O_{3} \). It is important to note that greater \( A_{03} \) also reflects enough potential to obtain enhanced contrast which is superior to bimodal combination of the first and second modes. The maximum contrast values of bimodal modes are summarized in Table 1. It suggests that bimodal excitation of great free amplitude \( A_{01} \) and small free amplitude \( A_{03} \) might obtain the best phase image contrasts in experiments.

4. Conclusions

Single mode and bimodal AFM experiments have been conducted on a PS-LDPE polymer blend with different free amplitudes by cantilever AC240. Results show that tip-sample interfacial interaction of greater free amplitudes correspond to more dissipated power and virial value in single mode. Higher single modes might dissipate more power than that of the first mode. Greater free amplitudes usually produce better contrasts for the first single mode. However, small free amplitudes in higher single modes (the second and third) show the potential to obtain enhanced contrast. The best image contrast of single mode appears in the third mode scanning. In bimodal mode, phase contrast of higher mode shows distinct advantages in comparison to phase and amplitude of the first mode. Moreover, combination of the first two modes can only be used to distinguish materials within small free amplitude (0–10 nm) of the second mode. Nevertheless, combination of the first and the third modes present more enhanced contrast within the whole free amplitude range (0–20 nm) of the third mode. Interestingly, greater free amplitudes of the first mode obviously contribute to improve the overall contrast in bimodal mode. The best contrast of bimodal imaging occurs when the first and third free amplitude are relative great and small, respectively. In addition, bimodal imaging (especially the third mode adds to the first mode) shows more advanced and stable amplitude and phase images than those in single higher mode. Research of higher mode and bimodal AFM imaging might be of great help to improve contrast and quantitative analysis of material properties.

Conflicts of interest

There are no conflicts to declare.

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| \( A_{01} \) (nm) | 20 | 30 | 40 |
|----------------|----|----|----|
| \( D(A_{2})_{\text{max}} \) | 5.34 | 6.87 | 5.77 |
| \( D(O_{1})_{\text{max}} \) | 4.39 | 5.12 | 6.69 |
| \( D(O_{2})_{\text{max}} \) | 9.24 | 12.4 | 12.8 |
| \( D(A_{1})_{\text{max}} \) | 7.79 | 10.3 | 11.9 |
| \( D(O_{3})_{\text{max}} \) | 7.54 | 8.63 | 10.6 |
| \( D(O_{3})_{\text{max}} \) | 11.0 | 13.4 | 17.0 |
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