UV, optical and near-IR diagnostics of massive stars

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Abstract: We present an overview of a few spectroscopic diagnostics of massive stars. We explore the following wavelength ranges: UV (1000 to 2000 Å), optical (4000–7000 Å) and near-infrared (mainly H and K bands). The diagnostics we highlight are available in O and Wolf–Rayet stars as well as in B supergiants. We focus on the following parameters: effective temperature, gravity, surface abundances, luminosity, mass loss rate, terminal velocity, wind clumping, rotation/macroturbulence and surface magnetic field.

1 Introduction

The development of sophisticated atmosphere codes combined with the regular access to multi-wavelength observational data (from the X-rays to the radio range) allow improved determination of stellar and wind parameters of massive stars. This in turn affects our understanding of these objects. Since massive stars play key roles in different fields of astrophysics (being the progenitors of long–soft GRBs, the producers of most metals heavier than oxygen, important contributors to the release of mechanical energy in the interstellar medium...) it is crucial to be able to accurately constrain their properties. Here, we present a non exhaustive overview of the main spectroscopic diagnostics used to determine the fundamental parameters of massive stars. We restrict ourselves to the UV, optical and near-infrared ranges. The diagnostics we present in the following apply to O and Wolf–Rayet stars as well as B supergiants.

2 Stellar parameters

In this section we present the main spectroscopic methods used to determine the stellar parameters: effective temperature, surface gravity, luminosity, surface abundances.

2.1 Effective temperature

The effective temperature of massive stars is usually derived using the ionization balance method. The principle relies on the computation of synthetic spectra from atmosphere models at different temperatures. Depending on the temperature, the ionization of the elements present in the atmosphere is different: the wind is more ionized for higher $T_{\text{eff}}$. Consequently, the lines of ions of the same element but of different ionization states are also sensitive to the effective temperature. Comparing
the strength of synthetic lines to observed lines thus yields the star’s temperature (e.g. Herrero et al. 1992, Puls et al. 1996, Martins, Schaerer & Hillier 2002). In practice, lines from successive ions of the same elements must be observed. The most reliable indicators for O and Wolf-Rayet stars are the He I and He II lines. The classical diagnostics are He I 4471 and He II 4542. They are the strongest photospheric lines in most stars (He II 4686 can be stronger than He II 4542 but it is more sensitive to wind contamination). An illustration of their behaviour with $T_{\text{eff}}$ is given in Fig. 1. We see that increasing $T_{\text{eff}}$ reduces the He I 4471 line strength and increases the He II 4542 absorption. A number of complementary lines can be used to confirm and refine the estimate based on the previously mentioned lines: He I 4026, He I 4388, He I 4712, He I 4920, He II 4200, He II 5412. Note that the He I singlet lines can be sensitive to subtle details of the modelling related to line–blanketing effects (e.g. Najarro et al. 2006). When the temperature drops below roughly 27000 K, helium is almost neutral in the atmosphere so that no He II lines are detected. This is the range of mid- and late-B stars. For those objects, one usually switch to the Si ionization balance traced by the following lines: Si II 4124-31, Si III 4552-67-74, Si III 5738, Si IV 4089, Si IV 4116 (e.g. Trundle et al. 2004). Depending on the temperature, either Si II and Si III, or Si III and Si IV lines are used. The temperatures derived from the optical have typical uncertainties of 500 to 2000 K depending on the quality of the observational data and on the temperature itself (uncertainties are larger when lines from one ionization state are weak).

![Figure 1: Dependence of the He I 4471 and He II 4542 line strength on the effective temperature. The synthetic spectra correspond to $T_{\text{eff}} = 34500\text{K} (35000\text{K}, 35500\text{K})$ and are shown by the blue (red, green) lines. The observed spectrum is the black line.](image)

The ionization balance method can be applied to near-IR spectra of O stars. In the K–band, He I and He II lines are present above $\sim 30000\text{ K}$ (Hanson et al. 2005). The strongest He I line at 2.058$\mu$m must be used very carefully because of its extreme dependence on line-blanketing effects (Najarro et al. 1997, 2006). The use of He I 2.112$\mu$m is preferred although the line is weaker and can be blended with C III/N III emission. The only He II line in the K-band is He II 2.189$\mu$m. Repolust et al. (2005)
have analyzed the same sample of stars independently with optical and near–IR spectra and found that the derived temperatures were consistent within the uncertainties.

When only UV spectra are available, the determination of $T_{\text{eff}}$ is more difficult. One usually relies on the iron ionization balance. Line forests from Fe IV (resp. Fe V, Fe VI) are indeed observed in the wavelength range 1600 - 1630 Å (resp. 1360 - 1380 Å, 1260 - 1290 Å). An illustration is given in Fig. 10 of Heap, Lanz & Hubeny (2006). The relative strength of these line forests provides the best $T_{\text{eff}}$ indicator, although the uncertainties are usually larger than those of optical determination.

### 2.2 Surface gravity

The surface gravity is classically derived from optical spectroscopy. The wings of the Balmer lines are broadened by collisional processes (linear Stark effect) and are thus stronger in denser atmospheres, i.e. for higher $\log g$ (which causes larger pressure and thus more collisions). In practice $\text{H}\beta$, $\text{H}\gamma$ and $\text{H}\delta$ are the main indicators, provided they are in absorption and/or their wings are not contaminated by wind emission. They are usually strong and well resolved.

In the near-IR, the Brackett lines can play the same role. Again, only the wings have to be considered since they are sensitive to collisional broadening. Repolust et al. (2005) showed that the behaviour of the Balmer and Brackett lines with gravity was similar only in the far wings, the line cores having different variations (see Repolust et al. for a thorough discussion). In practice $\text{Br}\gamma$ is the best gravity indicator in the K–band. $\text{Br}10$ and $\text{Br}11$ (H–band) can be used as secondary indicators.

### 2.3 Luminosity

Until recently, bolometric luminosities were derived from optical (or near-IR) photometry and bolometric corrections. For instance, one could obtain $L_{\text{bol}}$ from $log \frac{L_{\text{bol}}}{L_\odot} = -0.4 \times (M_V + BC(T_{\text{eff}}) - M_{\odot}^{\text{bol}})$ where $M_V$ is the absolute magnitude, $BC(T_{\text{eff}})$ the bolometric correction at temperature $T_{\text{eff}}$ and $M_{\odot}^{\text{bol}}$ the Sun’s bolometric magnitude. This method requires the use of calibrations of bolometric corrections. Another related method consists in comparing directly absolute magnitudes (usually in the V band) to theoretical fluxes in the appropriate band convolved with the filter’s response.

Nowadays, spectral energy distribution (SED) fitting is becoming the standard way of deriving luminosities. In this process, spectrophotometry ranging from the (far)UV to the infrared is used to adjust the global flux level of atmosphere models. Since the full SED is used, there is no need for bolometric corrections. In addition, the reddening can be derived simultaneously. Any excess emission (due to dust for instance) can be identified and fitted with additional components. An example of such a fit is shown in Fig. 2.

For both methods briefly presented above, the distance to the star must be known independently.

### 2.4 Surface abundances

Once the effective temperature, gravity and luminosity have been constrained, it is possible to derive the surface abundance of several elements using photospheric lines. The classical spectroscopic method consists in comparing synthetic spectra with different abundances to key diagnostic lines.

Optical studies of OB stars allow the determination of abundances of C, N, O, Si, Mg. The main diagnostics are the following:

- carbon: C II 4267, C II 6578–82 / C III 4647–50, C III 5696 / C IV 5802–12
- nitrogen: N II 3995 / N III 4510-15 / N IV 4058, N IV 5200 / N V 4605-20
- oxygen: O II 4075, O II 4132, O II 4661 / O III 5592
Figure 2: SED fitting of a WC9 star. The black line and symbols are the observational data. The red line is the synthetic stellar flux and the blue line is the synthetic dust emission. The infrared part of the spectrum shows an emission excess due to dust. Adapted from Crowther, Morris & Smith (2006a).

- silicon: Si II 4124–31 / Si III 4552–67–74, Si III 5738 / Si IV 4089, Si IV 4116
- magnesium: Mg II 4481

Several N III lines are also observed between 4630 and 4640 Å in O and early B stars. They are rather strong but their modelling is still difficult and they should be treated with care.

Low ionization lines are present in B stars while high ionization lines are observed in the earliest O stars. The same lines can be used to constrain the abundances of Wolf–Rayet stars. However, they are usually emitted in the wind and are observed in emission. The knowledge of the wind properties, especially the mass loss rate, is thus necessary to correctly derive stellar abundances.

In O and B stars, the determination of surface abundances requires the knowledge of the micro-turbulence velocity. It is usually constrained from a few metallic lines, either by direct comparison of synthetic spectra or by measurement of equivalent widths of synthetic profiles with different micro-turbulent velocity. The determination is usually done simultaneously with the abundance determination. The value of $v_{\text{turb}}$ is chosen to minimize the spread in abundance derived from several lines of the same ion (e.g. Dufton et al. 2005).

In the UV range, lines from CNO and Si are usually formed in the wind and are used to constrain the mass loss rate and terminal velocity. A determination of the abundances from the optical lines is necessary to correctly derive the wind properties. There are several iron line forests (see also Sect. 2.1) that can be used to constrain the Fe content. If the relative strength of these line forests constrain $T_{\text{eff}}$, their absolute strength is an indication of the iron composition.

In the near-IR, the number of metallic lines is limited, especially in OB stars where the lines are weak. For stars with stronger wind (extreme O supergiants and Wolf-Rayet stars) a few features are available. In the K–band, the N III doublet at 2.247–2.251 μm is a valid indicator of the nitrogen content (Martins et al. 2008). The Mg II 2.138–2.144 μm doublet is detected in the coolest stars. In the hottest stars, C IV lines are observed at 2.070, 2.079 and 2.084 μm. In the H–band, Fe II 1.688 μm, Si II 1.691 μm and Si II 1.698 μm are used to constrain the iron and silicon abundances (Najarro
3 Wind parameters

We now turn to the wind parameters of massive stars. We first present the determination of terminal velocities, then the mass loss rates and finally review the spectroscopic diagnostics of clumping.

3.1 Terminal velocity

The terminal velocity is the maximum velocity reached by a stellar wind at the top of the atmosphere. If the wind density is high enough, P–Cygni profiles are observed in several lines. The strongest ones are UV resonance lines. The origin of the blueshifted part of the P–Cygni profile is the Doppler shift associated with the wind outflow in front of the photospheric disk. Consequently, the measure of the blueward extent of this absorption gives a direct access to the terminal velocity. The terminal velocity can be defined as the velocity leading to the absorption up to the point where the line profile reaches the continuum (the edge velocity) or as the velocity producing the bluest complete (i.e. zero flux) absorption (the black velocity). The former is usually affected by additional small-scale (microturbulence) or large-scale (discrete absorption components) motions so that the latter is usually adopted (e.g. Prinja, Barlow & Howarth 1990). This definition is only valid for strong wind stars though: for thinner winds, the P-Cygni profiles are not saturated. The main UV diagnostics are the following: N \text{V} 1240, Si \text{IV} 1393–1403, C \text{IV} 1548–50, N \text{IV} 1718. Additional indicators are found in the FUSE range: O \text{VI} 1032–1038, C \text{III} 1176. Other P-Cygni profiles can be found below 1000 Å but they are usually blended with interstellar molecular and atomic hydrogen absorption.

When stars have strong winds \((\dot{M} \geq 10^{-5} \ M_\odot \ yr^{-1})\) but their UV spectra are not available, other diagnostics can be used. In the optical, the Balmer lines (H\(\alpha\), H\(\beta\), H\(\gamma\), H\(\delta\)) and sometimes some He I lines (e.g. He I 4471) can have pure emission or P-Cygni profiles. In the latter case, the same method as in the UV is applied. For pure emission lines, the line width is usually related to the wind terminal velocity. Fitting such profiles with synthetic spectra computed from atmosphere models with different terminal velocities will provide an indirect measure of the terminal velocity. Similarly, in the near-IR, He I 2.058\(\mu\)m and He I 2.112\(\mu\)m have P-Cygni profiles in late-type WR stars or LBVs, and emission profiles in other strong-wind massive stars. We can proceed as for the optical Balmer lines to estimate terminal velocities.

In case no spectroscopic diagnostic is available, the terminal velocity of a massive star can be estimated from the relation \(v_\infty \approx 2.25 \sqrt{\frac{\alpha}{1-\alpha}} \ v_{\text{esc}}\) where \(v_{\text{esc}}\) is the escape velocity and \(\alpha\) the line force multiplier parameter of the CAK theory. In practice, \(v_\infty \approx 3 \times v_{\text{esc}}\) for stars hotter than about 25000 K, and \(v_\infty \approx 1.5 \times v_{\text{esc}}\) for stars cooler than this limit. This “bistability jump” is well known (Lamers, Snow & Lindholm 1995), although recent studies tend to show that it is more a gradual decrease than a real jump (Crowther, Lennon & Walborn 2006b, Markova & Puls 2008).

3.2 Mass loss rate

There are two main classes of spectroscopic diagnostics of mass loss rate: the P–Cygni resonance lines observed mainly in the UV range, and optical emission lines, mainly H\(\alpha\).

UV P-Cygni profiles are sensitive to the wind density times the ionization fraction of the ion responsible for the observed line. Since the density is directly related to the mass loss rate (density \(\propto v_\infty \)).

\[^1\] It is introduced as a proxy to represent a significant velocity dispersion which can be simulated by supersonic microturbulence.
fitting such features provides constraints on $\dot{M}$. The strength of these P–Cygni features allows determinations down to very low values of $\dot{M}$ (typically down to $10^{-10} \, M_\odot \, yr^{-1}$). This is especially important for the so–called 'weak wind stars' (Martins et al. 2004, Marcolino et al. 2009). The main drawback is that it requires a good knowledge of the ionization structure. All physical processes affecting this structure have to be included in model atmospheres to ensure accurate determinations. The most common features used are: N V 1240, Si IV 1393–1403, C IV 1548–50, He II 1640, N IV 1718. P V 1118–28 can also be used provided X-rays and clumping are taken into account (see Sect. 3.3). An example of the fit of the C IV 1548-50 line is shown in Fig. 4. Other lines in the FUV range are available, but they are often contaminated by interstellar atomic and molecular hydrogen absorption (see also Sect. 3.1).

The other main diagnostics of mass loss rate is the H$\alpha$ line in the optical (e.g. Puls et al. 1996). If the density is high enough, hydrogen recombination leads to H$\alpha$ wind emission which adds to the underlying photospheric absorption. For strong winds, the emission completely dominates the line profile. Fig. 3 shows an example of fit for an SMC B supergiant (Trundle et al. 2004). Since it is a recombination line, it depends on the density square (as opposed to density for P–Cygni profiles). Consequently, its emission decreases quickly with density (and thus $\dot{M}$). H$\alpha$ then turns rapidly into a pure photospheric absorption profile from which no $\dot{M}$ determination is possible. This happens below $\sim 10^{-8} \, M_\odot \, yr^{-1}$. H$\alpha$ is however less sensitive to ionization issues since hydrogen is almost completely ionized in massive stars atmospheres. It is thus sometimes considered a better diagnostics (but again, only for strong wind stars). A secondary optical indicator is He II 4686. In the case of Wolf–Rayet stars, the other Balmer lines (H$\beta$, H$\gamma$, H$\delta$) are also in emission and are complementary indicators.

In the near-IR range, the Brackett lines, especially Br$\gamma$, play the same role as the Balmer lines in the optical (Repolust et al. 2005, Martins et al. 2008). A rather strong line is Br$\alpha$ at 4.051 $\mu$m. Preliminary example of use of this line are shown in Puls, Vink & Najarro (2008).

Figure 3: H$\alpha$ fit for the SMC B supergiant AV215. The blue and green lines correspond to models with a mass loss rate changed by $\pm 15\%$ compared to the best fit model (red line). Adapted from Trundle et al. (2004).

### 3.3 Clumping

Several pieces of evidence indicate that the winds of massive stars are not homogeneous. Spectroscopically, the first indirect proof came from Hillier (1991) who realized that the red electron scattering wing of strong emission lines of Wolf-Rayet stars was overpredicted in homogeneous models. The
inclusion of inhomogeneous winds by means of a volume filling factor approach led to a better agreement with observations. The electron scattering wings of emission lines are still used nowadays to constrain the degree of inhomogeneities in strong wind stars. The classical diagnostics are: He II 4686, He II 5412, Hβ (see Hillier 1991, Martins et al. 2009).

The presence of clumping in massive stars winds has two main effects: first, for a given atmospheric structure, it changes the shape of wind lines; second, due to the increased density in clumps, recombinations are stronger and thus the ionization structure is modified. The first effect can be explained as follows. For a recombination line, the line intensity is proportional to $\rho^2 \times V$ where $\rho$ is the density and $V$ the total volume of the wind. In the case of a volume filling factor $f$, the density in the clumped wind is $\rho_c = \rho_0 / f$ where the indices ‘c’ and ‘0’ refer to the clumped and unclumped models respectively. Similarly, the volume effectively containing the material is $f \times V_0$. Hence, the line intensity is proportional to $\rho_0^2 / f$. Consequently, including clumping increases the line strength by $1/f$. Said differently, since $\rho_0 \propto \dot{M}$, the line intensity will be the same for similar $\dot{M}/\sqrt{f}$ ratios.

He II in the optical (e.g. Puls et al. 2006) and Br10/Br11 in the near–IR (Najarro et al. 2009) are the main $\rho^2$ diagnostics of clumping.

For scattering lines such as the UV P–Cyg profiles, the intensity depends linearly on the density, so that in principle there is no ‘first effect’ of clumping on these profiles. But the second effect – the change of ionization structure – is present. This is illustrated in Fig. 4 and 5 – from Bouret, Lanz & Hillier (2005). In the former figure, UV P–Cyg profiles of an O4V((f)) star are shown for homogeneous (grey dashed line) and clumped (grey solid) models. The clumped models provide a much better fit to O V 1371 and N IV 1718. In Fig. 5, we see that adding clumping strongly reduces the fraction of O V in the atmosphere, leading to a weaker O V 1371 line. Another UV diagnostic of clumping is the P V doublet at 1118–1128 Å (e.g. Fullerton, Massa & Prinja 2006).

More direct evidence for clumping comes from time series analysis of selected emission lines of O supergiants and Wolf-Rayet stars. The first study of Eversberg, Lépine & Moffat (1998) showed the presence of emission sub–peaks on-top of the main emission of He II 4686. These structures showed motions from the line center to the line wings. This is interpreted as the presence of clumps moving outward in the stellar atmosphere. Similar conclusions were subsequently reached for different types

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2This is only true if clumps are optically thin in UV resonance lines (see e.g. Sundqvist, Puls & Feldmeier 2010).
of emission line stars, using $\text{C}\,\text{III} \,5696$ and $\text{C}\,\text{IV} \,5802–12$ in addition to the $\text{He}\,\text{II}$ lines mentioned above (e.g. Lépine et al. 2000).

4 Rotation and magnetic field

We finally focus on two properties of massive stars: their rotation rates and the relation to macroturbulence, and their magnetic fields.

4.1 Projected rotational velocities and macroturbulence

The determination of projected rotational velocities ($V\,\sin i$) has become a difficult task since it was realized that line profiles of O stars were also broadened by another mechanism dubbed macroturbulence. Its origin is not well constrained although a recent study by Aerts et al. (2009a) points to a probable role of stellar pulsations (see also Simón Díaz et al. 2010 for first observational evidence).

![Figure 6: Observed profile (solid line) together with a synthetic spectrum including only rotational broadening ($V\,\sin i = 57\ \text{km s}^{-1}$, dotted line) and rotational broadening + Gaussian macroturbulence ($V\,\sin i = 5\ \text{km s}^{-1} + v_{\text{mac}} = 32\ \text{km s}^{-1}$, dashed line). The inclusion of macroturbulence leads to a much better fit of the observed profile. From Aerts et al. (2009b).](image)

In absence of macroturbulence, two methods have been widely used to constrain $V\,\sin i$:
- FWHM–$V\,\sin i$: this method first developed by Slettebak et al. (1975) relies on the computation of synthetic line profiles at different rotational velocities from which the full width at half maximum (FWHM) is measured and subsequently compared to observational data. It was used by Herrero et al. (1992) and Abt, Levato & Grosso (2002) (among others) to derive $V\,\sin i$ for O and B stars. It relies mainly on optical metallic lines.
- Cross-correlation: here, a low $V\,\sin i$ template spectrum is convolved at different rotational velocities and is subsequently cross-correlated with observed spectra. The method has been particularly used in the UV range (e.g. Penny et al. 1996, Howarth et al. 1997) taking advantage of the large IUE database.
The direct comparison of synthetic line profiles to observational data revealed that the wings of photospheric lines did not show the classical “curved” shape of rotational profiles, but were wider and more “triangular”. This is illustrated in Fig. 6 where we see that a pure rotational profile (dotted line) is a poor fit of the observed spectrum (see also Ryans et al. 2002). The addition of a macroturbulent profile, usually implemented by convolution with a Gaussian profile and thus mimicking isotropic turbulence, leads to a significant improvement. The consequence is a reduction of the derived $V \sin i$ compared to studies ignoring macroturbulence (see Fig. 6). In practice, optical lines are well suited to constrain $V \sin i$ and the amount of macroturbulence. Among the key lines, there is: C\textsc{iv} 5812, O\textsc{iii} 5592, N\textsc{iv} 4057, He\textsc{i} 4712 (see Howarth et al. 2007, Martins et al. 2010). The main drawback of this method is that several combinations of $V \sin i$/macroturbulence can give fits of similar quality, rendering the determination of projected rotational velocities uncertain.

A powerful method to break this degeneracy is the use of the Fourier transform (FT) of observed profiles. Provided the macroturbulence is well represented by a symmetric kernel (such as a Gaussian profile), the first zero of the FT is thus directly related to the projected rotational velocity by the relation: \[ \frac{\lambda}{2} v_{\sin i} \sigma_1 = 0.66 \] where $\lambda$ is the wavelength of the line center and $\sigma_1$ the position of the first zero. An illustration is given in Fig. 7 where one can see that for a given $V \sin i$, the position of the first zero is always the same, regardless of the amount of Gaussian macroturbulence included. Here again, optical metallic lines are well suited for this method: O\textsc{ii} 4414, O\textsc{ii} 4661, O\textsc{iii} 5592, Si\textsc{iii} 4553, Si\textsc{iv} 4089, N\textsc{iv} 4057, C\textsc{iv} 5812 (e.g. Simón Díaz et al. 2006). We stress that the conclusion about the relevance of the FT method to derive $V \sin i$ relies on the assumption that macroturbulence was
represented by a symmetric function. If it is not the case (as for pulsations where macroturbulence results from the collective effects of hundreds of oscillations – see Aerts et al. 2009a), then the position of the first zero is affected. The recent study of Simón Díaz et al. (2010) favour a Gaussian radial–tangential macroturbulence profile over an isotropic Gaussian shape. More analyses are needed to characterize the origin and properties of macroturbulence in massive stars.

4.2 Surface magnetic field

The development of spectropolarimeters working in the optical range has led to the detection of surface magnetic fields in several O and B stars (e.g. Donati et al. 2002, 2006; Bouret et al. 2008, Grunhut et al. 2009). The principle of the detection relies mainly on the 'least square deconvolution' method (Donati et al. 1997). In practice, the idea is to detect Zeeman splitting in photospheric lines. Given the faintness of the polarized signal, a line mask made of several well understood lines is built and an average line profile is created from it (leading to the Stokes I parameter, see Fig. 8). The detection of a magnetic field is made from the Stokes V profile which is the difference between the right and left circular polarization signal created from the line mask. An example of unambiguous detection is displayed in Fig. 8. The photospheric lines used to build the line mask are usually the following: \( \text{He I} 4026, \text{He I} 4388, \text{He I} 4471, \text{He I} 4712, \text{He II} 4200, \text{He II} 4542, \text{N III} 4510, \text{O III} 5592, \text{C IV} 5812 \). Currently, there are no spectropolarimeters working in the infrared range nor in the UV.

![HD 108, LSD profiles, 2009](image)

Figure 8: Stokes V, N and I profile (from top to bottom) for the Of?p star HD108. The presence of a clear signature in the Stokes V profile and the absence of feature in the null profile (middle) is a direct indication of the presence of the Zeeman effect and thus of a surface magnetic field. From Martins et al. (2010).
Table 1: Summary of the main diagnostic lines for several stellar and wind parameters

|               | UV                        | Optical                  | near-IR                   |
|---------------|---------------------------|--------------------------|----------------------------|
| \( \text{T}_{\text{eff}} \) | \( \text{Fe \text{IV}/\text{V}/\text{VI}} \) | \( \text{He \text{I} 4471 / He \text{II} 4542} \) | \( \text{He \text{I} 2.112 / He \text{II} 2.189} \) |
| \( \log g \)  | –                         | \( \text{H}\beta, \text{H}\gamma, \text{H}\delta \) | \( \text{Br}\gamma \) |
| \( v_{\infty} \) | \( \text{N \text{V} 1240, Si \text{IV} 1393-1403} \) | \( \text{H\alpha, H}/\beta, H\gamma, \text{He \text{I} 4471} \) (if strong wind) | \( \text{He \text{I} 2.058, He \text{II} 2.112, Br}\gamma \) (if strong wind) |
| \( M \)       | \( \text{N \text{V} 1240, Si \text{IV} 1393-1403} \) | \( \text{H}\alpha, \text{He \text{II} 4686} \) | \( \text{Br}\gamma \) |
| \( f \) (clumping) | \( \text{O \text{V} 1371, N \text{IV} 1718} \) | \( \text{H\alpha, He \text{II} 4686} \) | \( \text{Br10, Br11} \) |
| Surface abundances | \( \text{Fe \text{IV}/\text{V}/\text{VI}} \) | \( \text{C \text{III} 637-40, C \text{IV} 5812, N \text{III} 4510-15, N \text{IV} 5200, O \text{II} 4661, O \text{III} 5592...} \) | \( \text{N \text{III} 2.247-2.251} \) |
| Magnetic field | –                         | \( \text{He \text{I} 4026, He \text{I} 4712} \) | \( \text{Mg \text{II} 2.138-2.144} \) |
|               |                           | \( \text{He \text{II} 4200, He \text{II} 4542, O \text{III} 5592, C \text{IV} 5812} \) | \( \text{Si \text{II} 1.691-98} \) |

5 Summary

We have reviewed some of the main spectroscopic diagnostics of massive stars in the UV (1000–2000 Å), optical (4000-7000 Å) and near-infrared (H and K bands) wavelength ranges. The description was not exhaustive and was meant to give an overview of the most commonly used spectral lines and methods to derive the stellar and wind parameters of OB and Wolf–Rayet stars. A summary of the main diagnostics is given in Table 1.

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**Discussion**

C. Martayan: Usually the different parameters (\(\dot{M}, v_\infty\), etc) are determined in the UV, visible, or IR wavelength-ranges but not together. Do the measurements agree or do they show some discrepancies?

F. Martins: There are studies (Repolust et al.) comparing results of pure IR and pure optical analysis showing there is usually agreement. There are also others showing discrepancies (Bianci et al.) highlighting differences between UV and optical results. Nowadays, more and more studies rely on multi-wavelength analyses. This helps to reduce the error bars on the fundamental parameters determinations.

L. Oskinova: How sensitive is \(L_{\text{bol}}\) determined from SED fitting to the stellar atmosphere model which is used? For example, could you, please, comment how \(L_{\text{bol}}\) would differ if the fitting is done by CMFGEN vs. Kurucz?
**F. Martins:** Fitting SEDs from the (E)UV down to the mid IR requires atmosphere models including winds because of the IR-mm excess. Hence Kurucz models are not appropriate for O/WR stars. The uncertainty on luminosities derived by the SED fitting method is about 0.05-0.15 dex depending on the quality of the photometry.

**S. Heap:** Can you advise on determining $v_{\infty}$ in very low-metallicity stars?

**F. Martins:** P-Cygni profiles are still observed in O supergiants at the SMC metallicity. It is not true for dwarfs. So in the MCs one should focus on the earliest O supergiants. There are studies by Urbaneja et al. and Evans et al. on that topic.