AN ILLUSTRATION OF MODELING CATACLYSMIC VARIABLES: *HST*, FUSE, AND SDSS SPECTRA OF SDSS J080908.39+381406.2

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ABSTRACT

*FUSE*, *HST*, and SDSS spectra of the cataclysmic variable SDSS J080908.39+381406.2 provide a spectral flux distribution from 900 to 9200 Å. This data set is used to illustrate procedures for calculating and testing system models. The spectra are not contemporaneous; it is necessary to assume that the combined spectra are representative of the system. The illustrations are based on a system with a 1.0 $M_\odot$ white dwarf, a 0.30 $M_\odot$, 3500 K, Roche lobe–filling secondary star, and an accretion disk extending to the tidal cutoff radius. Assuming a similar accretion state for the nonsimultaneous spectra, the best standard model fits with a mass transfer rate of $3.0 \times 10^{-9}M_\odot$ yr$^{-1}$. Extensive simulations demonstrate that the accretion disk must be truncated at its inner edge if the temperature profile follows the standard model, but truncated models face severe objections, which we address. Following additional simulation tests, we obtain a model accretion disk with a temperature profile comparable to the profile for SW Sex as determined from tomographic image reconstruction. This model fits the discovery SDSS spectrum well but has a flux deficit in the UV and FUV. Emission from a white dwarf is a plausible source of additional flux. Adding this source to the disk synthetic spectrum produces FUV flux that can explain the observed flux. An additional (archival) SDSS spectrum is fainter by about 0.3 mag in the optical. Additional analysis showed that UV residuals from a model fitting the archival optical wavelength spectrum are unacceptably large. Contemporaneous spectra from all wavelength regions would be necessary for a reliable system model. Our discussion illustrates how this conclusion follows from the system models.

Subject headings: accretion, accretion disks — novae, cataclysmic variables — stars: individual (SDSS J0809) — ultraviolet: stars — white dwarfs

1. INTRODUCTION

Cataclysmic variables (CVs) are semidetached binary stars in which a late main-sequence star loses mass onto a white dwarf (WD) via Roche lobe overflow. In systems containing a nonmagnetic WD, accretion proceeds through a viscous disk. However, in systems containing a magnetic WD, accretion may proceed directly from the inner Lagrangian point onto field lines in the strong field case, or through a partial disk in the case of intermediate field strength. The group of CVs that have typical orbital periods between 3 and 4 hr, strong single-peaked Balmer emission, strong He$n$ emission, and deep central absorption in the Balmer and HeⅠ lines (usually near orbital phase 0.5) are called the SW Sex stars (e.g., Honeycutt et al. 1986; Szkody & Piché 1990; Thorstensen et al. 1991). As a group, their orbital periods place the SW Sex stars at the top of the period gap, which likely is an aspect of the normal secular evolution of the CV population (Warner 1995). The SW Sex stars typically have high mass accretion rates, and a few of them may have intermediate-strength magnetic fields as evinced from weak polarization (Rodriguez-Gil et al. 2001). See Warner (1995) for a thorough review of CV types and behaviors.

The observational data that are commonly available to study CVs include spectra and photometry. Deduction of the physical properties of these binary stars depends on simulation of the observations, based on a physical model believed to represent reality with adequate accuracy. The accretion disk is typically the most important radiating component in a CV over a wide range of wavelengths. A common practice has been to use synthetic stellar spectra to simulate the accretion disk (la Dous 1987, 1994). More recently, Wade & Hubeny (1998) have calculated a set of models based on the TLUSTY program. It is desirable to have a simulation program that calculates an accretion disk ab initio, given an orbital inclination, WD mass, and mass transfer rate. A combination of the programs TLUSTY (Hubeny 1988) and BINSYN (Linnell & Hubeny 1996) provides this feature. The details of how the calculation takes place, in the context of a specific system, have not been described in the literature. The availability of both *Hubble Space Telescope (HST)* and *Far Ultraviolet Spectroscopic Explorer (FUSE)* data combined with a good Sloan Digital Sky Survey (SDSS) spectrum of a bright system (few systems provide this combination) provides the impetus for modeling this system. Since the data were not contemporaneous, a definitive solution is not available. However, as we show later, we are able to find a solution that satisfactorily represents the data set. At the same time, the data set provides a very useful basis to illustrate the details of building and testing system models, and the results turn out to be of considerable intrinsic interest.
2. THE SDSS J0809 SYSTEM

The Sloan Digital Sky Survey (York et al. 2000) provides five-color photometry (ugriz) and spectra (3800–9200 Å at a resolution of 3 Å) of the survey objects. The survey has identified a large number of CV systems (Szkody et al. 2002, 2003, 2004, 2005).

During the survey, SDSS J080908.39+381406.2 (hereafter abbreviated as SDSS J0809) was discovered as a bright CV (g ~ 15.6; Szkody et al. 2003). The discovery paper provides the photometric colors and optical spectrum of SDSS J0809, as well as the results of time-resolved follow-up spectra obtained over the course of 3 hr. The SDSS spectrum shows a steep blue continuum with strong Balmer emission lines as well as prominent emission from He ii λ4686 and the CN blend at 4640 Å. The time-resolved spectra show deep and transient absorption in the Balmer and He i lines. If the Hα and Hβ radial velocities indicate orbital phases, then the deep absorptions occur near orbital phase 0.5 (Szkody et al. 2003), which is a hallmark of the SW Sex stars. However, we lack any confirming evidence (eclipses), and we are currently unable to make any definite statement about orbital phases. There was no noticeable eclipse during the 3 hr of observations and the radial velocity curve constructed from the Hα and Hβ emission lines indicated an orbital period near 2.4 hr. However, the shortness of the data interval precluded the determination of an accurate period. Recent photometry over many nights indicates that the period is 192 minutes (more typical for SW Sex stars) and there may be a shallow or partial eclipse (P. Rodriguez-Gil et al. 2007, in preparation) with amplitude of less than about 0.1 mag. We will use the 192 minute period throughout this paper.

Due to the brightness of this system, ultraviolet measurements were possible with both FUSE and HST and were used to explore the accretion parameters and geometry of the high accretion regime. In the high inclination SW Sex star DW UMa, which shows deep eclipses, the accretion disk completely obscures the WD and inner disk during high states of accretion (Knigge et al. 2000). When the accretion is reduced during low states of mass transfer, the underlying WD is revealed and it is very hot (nearly 50,000 K; Araujo-Betancor et al. 2003). Most SW Sex stars have high inclinations and deep eclipses such that, as in DW UMa, the WD is hidden from view by the accretion disk. We observed SDSS J0809 in the hope that its apparent lower inclination (as evinced by the lack of deep eclipses) might permit a more direct view of the WD and inner disk and thus allow us to explore the characteristics of these components of an SW Sex star. An objective of this investigation is to determine the extent to which the large SDSS spectral range, combined with spectra from HST and FUSE, together with related collateral information, permit development of a self-consistent model.

As the following sections indicate, we have a single HST spectrum and two sets of SDSS and FUSE observations. None of the observations are simultaneous. The photometric observations (P. Rodriguez-Gil et al. 2007, in preparation) were obtained some 300 days after the HST exposure and continued over an interval of 26 days. The photometry shows only minor orbital variation, with an amplitude of 0.1 mag that may indicate a grazing eclipse, but with no systematic trend. There is consistent overlap of the HST and one of the FUSE observations. Since the SDSS photometry, the first SDSS spectrum, the subsequent APO spectroscopy, the Rodriguez-Gil photometry and the optical measurement from the HST snapshot all agree (to ±0.1 mag), we first treated the system as if it is constant at all observed wavelengths longward of the FUSE observations.

3. FUSE OBSERVATIONS AND DATA PROCESSING

We observed SDSS J0809 with FUSE during two time intervals approximately 1 yr apart; observation 1 occurred on 2003 March 28 and observation 2 occurred on 2004 March 16–17. Because of the FUSE orbital constraints, each observation was divided into several exposures (four exposures for observation 1, eight exposures for observation 2); see Table 1 for the FUSE observing log. All data were obtained using the LWRS aperture and TTAG accumulation mode (for FUSE spacecraft and instrument details see, for example, Sahnow et al. 2000). We used the CalFuse version 3.0.7 pipeline software to prepare intermediate data files from the raw data files obtained during each FUSE exposure. We then used the IDL routine cf_e1d_t version 2.9, as well as custom-built IDL routines, to extract spectra from the various detector and mirror segments and combine them into a time-averaged spectrum for each observation. The time-averaged spectra have total equivalent exposure times of ≈8.4 ks for observation 1 and ≈10 ks for observation 2 (total exposure times

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### Table 1

| Observation No. | Exposure No. | Start Time | UT HJD – 2,450,000 | Total Exposure |
|-----------------|--------------|------------|-------------------|---------------|
| 1               | 1            | 2003 Mar 28 11:36:10 | 2726.985218 | 1590 |
| 2               | 1            | 2003 Mar 28 13:01:23 | 2727.044391 | 2473 |
| 3               | 1            | 2003 Mar 28 14:40:37 | 2727.113297 | 2515 |
| 4               | 1            | 2003 Mar 28 16:29:19 | 2727.188776 | 1888 |
| 2               | 1            | 2004 Mar 14 16:44:13 | 3081.116762 | 3257 |
| 2               | 2            | 2004 Mar 16 16:44:41 | 3081.200413 | 2023 |
| 3               | 1            | 2004 Mar 16 18:31:30 | 3081.274585 | 1606 |
| 4               | 1            | 2004 Mar 16 20:09:14 | 3081.342450 | 1737 |
| 5               | 1            | 2004 Mar 16 21:53:07 | 3081.414585 | 1495 |
| 6               | 1            | 2004 Mar 16 23:02:56 | 3081.463065 | 2050 |
| 7               | 1            | 2004 Mar 16 23:36:45 | 3081.486547 | 1272 |
| 8               | 1            | 2004 Mar 1700:43:58 | 3081.533221 | 560 |

*Notes.—“Total exposure” will be longer than the final usable exposure time because of data that are rejected for quality reasons during the standard pipeline processing.*

8 Also see the FUSE Science Center Web page at http://fuse.pha.jhu.edu.
9 Written by Don Lindler and available at http://fuse.pha.jhu.edu/analysis/fuse_idl_tools.html.
from the mirror/detector pairs differ by up to ~5% due to differences in rejected data; the combined spectrum accounts for this by weighting by exposure time when combining data from different mirror/detector pairs. The final combined spectra (see Figs. 1 and 2) were rebinned onto a uniform wavelength scale with dispersion 0.20 \( \text{Å} \) by averaging flux points from the original dispersion (0.013 \( \text{Å} \)) into wavelength bins of width 0.20 \( \text{Å} \).

### 4. ANALYSIS OF FUV SPECTRA

Our initial plan was to combine the two FUSE data sets to improve the signal-to-noise ratio of the final time-averaged spectrum. However, it was apparent that the spectra obtained from the two observations were somewhat different, so we treated them separately. Shortward of \( \approx\frac{3}{2}000 \) \( \text{Å} \) the two spectra are approximately equivalent, although this apparent agreement is likely due mainly to the weak detection at these short wavelengths. None of the sulfur or silicon emission lines often seen in FUV spectra of CVs in this wavelength region (e.g., Hoard et al. 2003; Froning et al. 2001; Long et al. 1994) are detected in SDSS J0809 (see Figs. 1 and 2, top panels). The \( \text{C}^3 \), \( \text{N}^3 \) emission complex is possibly present in both spectra; however, it coincides with the wavelengths of a series of airglow features, which makes a definitive detection difficult.

At longer wavelengths, the observation 2 spectrum is approximately twice as bright in the continuum as the observation 1 spectrum; for example, the “mean” continuum level at 1155 \( \text{Å} \) is \( \approx\frac{2}{5}5 \times 10^{-14} \text{ergs s}^{-1} \text{cm}^{-2} \text{Å}^{-1} \) in the observation 1 spectrum and \( \approx1.5 \times 10^{-14} \text{ergs s}^{-1} \text{cm}^{-2} \text{Å}^{-1} \) in the observation 2 spectrum. There are also differences in the ionic features present at \( \lambda > 1000 \text{Å} \) in each spectrum. In the observation 1 spectrum, the S + Si line complexes at 1055–1085 and 1105–1130 \( \text{Å} \) are present as broad, undifferentiated “humps” in the continuum.
However, in the observation 2 spectrum, these same wavelength regions contain clearly differentiated emission and/or absorption features. The most striking difference is in the C+N+O line complex at 1165–1185 Å. In the observation 1 spectrum, this is present mainly as a fairly strong emission feature (strongest of the nonairglow lines) at the wavelengths spanned by the O \text{ III} multiplet. In the observation 2 spectrum, on the other hand, this line complex displays a profile consisting of a broad hump from 1165 to 1185 Å, with a possible discrete O \text{ III} emission component and deep absorption (reaching down to at least the level of the underlying continuum) at the wavelengths spanned by the C \text{ III} + N \text{ I} multiplets.

The O \text{ VI} lines at 1031.9 and 1037.6 Å, which are often among the most prominent emission features in the FUV spectra of CVs with ongoing accretion (e.g., Hoard et al. 2002, 2003, 2005; Mauche 1999), are only weakly present in both spectra of SDSS J0809. In addition, the line profiles of O \text{ VI} appear to be in emission on the blue side and absorbed on the red side (similar to the shape of the C+N+O line complex at 1165–1185 Å in observation 2). Detection of the S \text{ III} multiplet at 1012–1021 Å is even weaker (or nonexistent) compared to O \text{ VI} in both spectra. Neither spectrum displays detectable Si \text{ III} features at 1144 Å.

The total exposure time for each of the time-averaged FUV spectra of SDSS J0809 is shorter than the orbital period of the CV (75%–85% of \( P_{\text{orb}} = 192 \) minutes). However, the total orbital phase coverage during a given observation differs from the other observation by only about 10% and spans most of an orbit. Thus, we believe that the differences between the spectra are not likely to be due only to differences in lines of sight through the orbital geometry. In any case, the current estimate of the orbital period of SDSS J0809 is not known precisely enough to preserve cycle count well enough from observation 1 to observation 2 that we could compare relative phases of the two FUSE spectra.

The observation 1 spectrum, which we designate as \textit{FUSE1}, accords with the \textit{HST} spectrum in the wavelength overlap region better than the observation 2 spectrum. The observation 2 spectrum difference from the observation 1 spectrum could arise from a change in the accretion disk (discussed subsequently) in the time interval between the two observations.
5. HST OBSERVATIONS

SDSS J0809 was observed on 2004 April 29 as part of an HST Space Telescope Imaging Spectrograph (STIS) snapshot program (see Gansicke et al. 2003 for a description of this program). Using the STIS/CCD acquisition image, we determined that the magnitude in the F28x50LP filter (∼5500–11000 Å) was about 15.5. The STIS spectrum is an 800 s exposure obtained with the G140L grating, in autumn mode, which provided wavelength coverage from 1100 to 1700 Å with a resolution of 1.2 Å. The data were reduced with CALSTIS (ver. 2.13b), which corrected for the decaying sensitivity of the grating.

The spectrum is shown in Figure 3. The continuum displays a downturn near Lyα and weak emission lines of C iii, N v, C ii, Si iv, and C iv can be identified. The lines are noticeably weaker than those in the high-state STIS spectrum of DW UMa (Knigge et al. 2000), consistent with a lower inclination for SDSS J0809. The absorption cores at the Si iv doublet wavelengths, superposed on the overlapping doublet emission, and the doubled appearance of the C iv lines are similar to the STIS spectrum of DW UMa at phase 0.5 (Knigge et al. 2000), when the absorption events characteristic of SW Sex stars are most prominent. A number of additional line identifications in Figure 3 mark absorption cores associated with broad emission features; in most cases the absorption core goes below the continuum level, indicating a substantial column density along the line of sight. Unfortunately, we cannot determine the phase of the SDSS J0809 STIS spectrum as there currently is no orbital ephemeris.

6. SDSS AND APO OBSERVATIONS

The discovery spectrum of SDSS 0809 from MJD 52251 is described in Szkody et al. (2003) and is reproduced here in Figure 4. The exposure time, 5803 s, spans approximately half an orbital cycle. There is no indication of a Balmer discontinuity. The SDSS photometry for SDSS J0809 gave g = 15.61, and the 5500 Å flux in the SDSS spectrum gave an approximate V magnitude of ∼15.4.

The Apache Point Observatory (APO) follow-up spectra, obtained over 2.9 hr, provided a radial velocity curve in both Hα and Hβ (Szkody et al. 2003). The time-resolved APO spectra showed the strong modulation and deep transient absorption in the He i and Balmer line cores that characterize SW Sex systems (Szkody et al. 2003). He ii and CN emission are present at all phases of the APO spectra.

7. CV ACCRETION DISKS

Frank et al. (1992) discuss the theory of accretion disks. They show that the effective temperature of an accretion disk, in hydrostatic equilibrium and time-invariant, at a distance R from the accretion disk center, is given by the equation

\[ T_{\text{eff}}(R) = \left\{ \frac{3G\dot{M}}{8\pi R^3\sigma} \left[ 1 - \left( \frac{R_*}{R} \right)^{1/2} \right] \right\}^{1/4}, \]

where \( \dot{M} \) is the mass of the WD, \( M \) is the mass transfer rate, and \( R_* \) is the radius of the WD; \( G \) is the gravitation constant, and \( \sigma \) is the Stefan-Boltzmann constant. This equation defines the standard model for the radial temperature profile of a CV accretion disk.

The accretion disk is heated by viscous shear. It is now believed that the physical basis for viscosity is the magnetic instability mechanism (Balbus & Hawley 1991). Lack of knowledge of a physical basis for viscosity in the original study of accretion disks led to introduction of the dimensionless parameter \( \alpha \) (Shakura & Sunyaev 1973). An alternate viscosity prescription is to use a Reynolds number, typically indicated by the symbol Re. Pringle (1981) discusses both prescriptions and shows that, for CV accretion disks that undergo outbursts to have temporal characteristics roughly equal to observed values, the \( \alpha \) prescription requires values in the range 0.1–1.0, and the Reynolds number prescription should use values in the approximate range \( 10^2–10^3 \). Although important advances have been made in specifying the viscosity profile within an accretion disk annulus (Stone & Balbus 1996; Stone et al. 1996; Balbus & Hawley 1997; Balbus 2002), it still is not possible to calculate a value of \( \alpha \) or Re from fundamental physical principles to use in modeling a particular annulus. An important point is that equation (1) has no explicit dependence on the viscosity parameter. We assume that a single value of the viscosity parameter applies to an entire accretion disk.

We model a CV accretion disk as a nested series of cylindrical annuli. The theoretical model by Hubeny (1990) provides the model for the individual annuli, with additional development...
in Hubeny & Hubeny (1998) and an earlier investigation in Kříž & Hubeny (1986). Computer implementation of the model is in TLUSTY (ver. 200) (Hubeny 1988; Hubeny & Lanz 1995).

The calculation of annulus synthetic spectra from the TLUSTY models uses program SYNSPEC (ver. 48) (Hubeny et al. 1985; Hubeny 1990). An annulus synthetic line spectrum includes physical line-broadening effects, such as natural, van der Waals, Stark, or from turbulence. We adopted solar composition for all synthetic spectra. A useful option in SYNSPEC is to calculate continuum spectra, but also including H and He lines, rather than line spectra.

Hubeny (1990) develops the theory of the vertical structure of an annulus. The vertically averaged viscosity and its specific value as a function of reference level within the annulus appear explicitly in this theory. The annulus $T_{\text{eff}}$ as a function of radial distance from the geometric center is given by equation (1).

Calculation of a model for a single annulus proceeds in four steps: (1) calculation of a gray model using mean opacities rather than frequency-dependent ones; (2) iteration, starting with the gray model but now using frequency-dependent opacities, while imposing local thermodynamic equilibrium (LTE) excitation relations, until changes in a state vector, at all levels, become less than a prescribed small value, producing a converged model in LTE; (3) relaxing the LTE requirement and iterating to produce a non-LTE model for the continuum; (4) using the model from (3) and including line opacities and again iterating to produce a final non-LTE model.

Our experience is that models for inner annuli typically converge but convergence becomes more and more fragile for larger radius annuli until only a gray model can be calculated. Depending on the mass transfer rate, even the gray model calculations may fail for the largest radius annuli. Based on extensive tests, we find that plots of annulus synthetic spectra progress smoothly from smaller to larger annulus radii, even though the models transition from LTE to gray models. Consequently, to minimize the required amount of computer time, we have used gray models exclusively in this investigation.

### 7.1. Calculation of Synthetic Spectra for a CV System

The BINSYN software suite (Linnell & Hubeny 1996) is used to calculate synthetic spectra for comparison with the observational data. For an accretion disk system, BINSYN produces separate output synthetic spectra for the total system, the mass gainer, the mass loser, the accretion disk face, and the accretion disk rim (including a hot spot, if specified). Line-broadening and line-displacement due to the Doppler effect are calculated in BINSYN as the programs generate synthetic spectra for the total system and the individual system components. The calculated synthetic spectra require prior assembly of arrays of source synthetic spectra produced externally to BINSYN, one array for each object (mass gainer, accretion disk face, etc.). Thus, for a model corresponding to Table 2 (see below) and with a 3500 K secondary star, BINSYN would require 21 synthetic spectra corresponding to the annulus radii in Table 2, a synthetic spectrum for the WD, a synthetic spectrum (in this case duplicating the outer annulus spectrum) for the accretion disk rim, and a synthetic spectrum for the secondary star. For the latter object, since its contribution in the present case is negligible, a single synthetic spectrum meets the formal requirement. Otherwise, because the secondary star fills its Roche lobe, a range of synthetic spectra would be required covering the photospheric variation in $T_{\text{eff}}$ and $\log g$.

The BINSYN model for the distorted secondary star includes effects of gravity darkening and irradiation by the primary and the accretion disk. Shadowing of the secondary, by the accretion disk, from irradiation by the primary is included.

### Table 2

| $r/r_{\text{WD}}$ | $T_{\text{eff}}$ | $m_0$ | $T_0$ | $\log g$ | $z_0$ | $N_e$ | $\tau_{\text{Ross}}$ |
|------------------|----------------|------|------|---------|------|------|----------------|
| 1.36              | 66333          | 8.967E3 | 54213 | 7.16     | 4.63E7 | 1.11E15 | 1.48E4        |
| 2.00              | 59475          | 1.095E4 | 48448 | 6.90     | 8.01E7 | 6.75E14 | 1.76E4        |
| 3.00              | 48093          | 1.070E4 | 39 159 | 6.60     | 1.35E8 | 4.14E14 | 2.08E4        |
| 4.00              | 40423          | 9.959E3 | 32916 | 6.38     | 1.94E8 | 2.90E14 | 2.39E4        |
| 5.00              | 35062          | 9.251E3 | 28556 | 6.21     | 2.55E8 | 2.24E14 | 2.71E4        |
| 6.00              | 31106          | 8.639E3 | 25342 | 6.07     | 3.18E8 | 1.82E14 | 3.06E4        |
| 7.00              | 28058          | 8.115E3 | 22667 | 5.95     | 3.81E8 | 1.52E14 | 3.39E4        |
| 8.00              | 25630          | 7.665E3 | 20894 | 5.84     | 4.47E8 | 1.31E14 | 3.77E4        |
| 10.00             | 21986          | 6.934E3 | 17395 | 5.67     | 5.84E8 | 1.02E14 | 4.58E4        |
| 12.00             | 19367          | 6.365E3 | 15112 | 5.53     | 7.24E8 | 8.21E13 | 5.42E4        |
| 14.00             | 17381          | 5.907E3 | 14201 | 5.40     | 8.68E8 | 6.74E13 | 6.25E4        |
| 16.00             | 15816          | 5.529E3 | 12933 | 5.30     | 1.01E9 | 5.71E13 | 7.00E4        |
| 18.00             | 14547          | 5.210E3 | 11050 | 5.20     | 1.16E9 | 4.96E13 | 7.60E4        |
| 20.00             | 13495          | 4.937E3 | 10086 | 5.12     | 1.31E9 | 4.36E13 | 7.98E4        |
| 22.00             | 12606          | 4.700E3 | 9213  | 5.04     | 1.64E9 | 3.78E13 | 8.13E4        |
| 24.00             | 11843          | 4.492E3 | 8287  | 4.97     | 1.95E9 | 3.25E13 | 8.10E4        |
| 30.00             | 10086          | 3.993E3 | 7572  | 4.68     | 3.23E9 | 6.68E12 | 8.17E4        |
| 34.00             | 9213           | 3.734E3 | 6744  | 4.61     | 3.13E9 | 1.87E12 | 6.97E4        |
| 40.00             | 8188           | 3.420E3 | 6202  | 4.39     | 2.68E9 | 5.27E11 | 6.69E4        |
| 45.00             | 7516           | 3.207E3 | 5759  | 4.18     | 2.36E9 | 1.59E11 | 7.48E4        |
| 50.00             | 6961           | 3.026E3 | 5213  | 4.06     | 2.14E9 | 1.59E11 | 7.48E4        |

Notes.—Each line in the table represents a separate annulus. The column headed by $m_0$ is the column mass above the central plane. The column headed by $T_0$ is the boundary temperature. Compare with $T_{\text{eff}}$. The log $g$ values are at an optical depth of 0.9. The $z_0$ column gives the height of the annulus in cm. The accretion disk radius at the tidal cutoff boundary is $2.75 \times 10^{13}$ cm. The $N_e$ column is the electron density at the upper annulus boundary. The $\tau_{\text{Ross}}$ column is the Rosseland optical depth at the central plane. A viscosity parameter $\alpha = 0.1$ was used for all annuli.
array of synthetic spectra to produce, in effect, a local photospheric model atmosphere at each photospheric segment. Integration over the segments, with proper allowance for Doppler shifts and sources of line broadening, and with suppression of contributions from segments hidden from the observer, then produces the synthetic spectrum for the object (star, accretion disk, rim) at the particular orbital inclination and longitude under consideration. The system synthetic spectrum is the sum of contributions from the separate objects. Stellar objects are represented by the Roche model, including allowance for rotational distortion up to critical rotation.

The accretion disk is represented within BINSYN by a specified number (typically 32) of concentric annuli with fixed radial width but of increasing thickness (see Linnell & Hubeny 1996), up to a specified rim height. Each annulus is divided into azimuthal segments (typically 90). Note that the number of annuli specified within BINSYN usually exceeds the number of calculated annulus models. This feature is necessary to provide adequate resolution in calculating, e.g., eclipse effects. BINSYN calculates a $T_{\text{eff}}$ value for each internally specified annulus (the 32 mentioned above); these are standard model (Frank et al. 1992) values by default, but an option permits assigning an individual $T_{\text{eff}}$ to each annulus. This feature allows evaluation of an arbitrary temperature profile for the accretion disk, including an isothermal model. The program optionally permits calculation of radiative heating of the accretion disk by the WD, based on a bolometric albedo formalism. The output spectra from BINSYN are in the same mode as the annulus, etc., spectra—either line spectra or continuum spectra (i.e., if the synthetic spectra for the annuli are continuum spectra, that mode having been chosen for the SYSNPEC calculations, then the system, etc., synthetic spectra produced by BINSTN also will be continuum spectra).

BINSYN requires input specification of the inner and outer radii of the accretion disk. This feature provides important flexibility to truncate the disk at an inner radius and to set the outer radius at the tidal cutoff radius as dictated by the mass ratio of the stellar components. The accretion disk temperature profile typically will place all of the accretion disk on the “hot branch” required for dwarf novae outbursts by the disk instability model, hereafter DIM (Osaki 1996).

8. WD $T_{\text{eff}}$ VALUES

The observed spectra of SDSS J0809 give no immediate indications of an underlying WD spectrum, apparently preventing a direct determination of the WD $T_{\text{eff}}$. The subsequent discussion shows that SDSS J0809 has an accretion disk, so it is clear that the secondary star must fill its Roche lobe. Recent years have seen major progress in models of low-mass stars (Baraffe et al. 1998). The following analysis will show that the secondary is similar to a main-sequence star of the same spectral type of about M3 and a secondary component mass. Subsequent sections consider the propagation of this difference leads to the large uncertainty in the secondary component mass, we adopt a polar carbon model. For a secondary star mass of 0.30 $M_\odot$, the $T_{\text{eff}}$ of the secondary is 3500 K for the secondary star, while the larger amplitude curve is the secondary star. The dashed curve represents the WD for the $q = 0.30$ case for a $q = 0.20$ case. For the $q = 0.30$ case, the inclination is $i = 65^\circ$, and for the $q = 0.20$ case the inclination is $i = 67^\circ$. We take the observed low-amplitude light curve, together with the absorption cores in spectral lines, as evidence of a grazing eclipse of the accretion disk by the secondary star and adopt an orbital inclination of $i = 65^\circ$.

Figure 5 shows theoretical radial velocity curves for both cases. The solid curves are the radial velocity curves for the $q = 0.30$ case; the smaller amplitude curve represents the WD, while the larger amplitude curve is the secondary star. The dashed curve represents the WD for the $q = 0.20$ case, with $i = 67^\circ$. Gamma velocities of $-105$ and 8 km s$^{-1}$ were subtracted from H$\alpha$ and H$\beta$, respectively. These velocities were determined empirically by minimizing the sum of the residuals from the theoretical radial velocity curve. The curves show the insensitivity of the system to the value of $q$. We stress that this paper does not argue that the H$\alpha$ and H$\beta$ radial velocities track the WD motion in SW Sex systems in general and in this system in particular.

Figure 6 shows a projection view of the $q = 0.30$ system. A plot for the $q = 0.20$ case is closely similar to Figure 6.

Panei et al. (2000) determine a radius of $R_{\text{WD}} = 0.00771 R_\odot$ for a WD mass of 1.00 $M_\odot$, and a homogeneous Hamada-Salpeter carbon model. For a secondary star mass of 0.30 $M_\odot$, and assuming the secondary is similar to a main-sequence star of the same mass, we adopt a polar $T_{\text{eff}}$ of 3500 K for the secondary star (Baraffe et al. 1998). The following analysis will show that the secondary star makes a negligible contribution to the system shortward of 7000 Å.
Several SW Sex stars have high WD $T_{\text{eff}}$ values. Examples include DW UMa, with $T_{\text{eff}}$ of 40,000–50,000 K (Kniażek et al. 2000; Araujo-Betancor et al. 2003; Hoard et al. 2003), and UX UMa, with $T_{\text{eff}}$ of 34,000 K (Baptista et al. 1994). Similarly, MV Lyr, a well-known nova-like CV, has a $T_{\text{eff}}$ of 47,000 K (Hoard et al. 2004). We chose a test $T_{\text{eff}}$ of 35,000 K for SDSS J0809, with the possibility in mind of a subsequent revision upward (or downward).

9. INITIAL ESTIMATE OF MASS TRANSFER RATE AND THE ACCRETION DISK TIDAL CUTOFF RADIUS

The spectroscopic similarity of SDSS J0809 to an SW Sex system also suggests our initial choice of mass transfer rate. SW Sex stars (for reviews see Hellier 2000; Groot et al. 2000; Hoard et al. 2003) are nova-like (NL) objects with mass transfer rates above the critical rate to avoid disk outbursts (Osaki 1996). From Osaki (1996) the critical mass transfer rate is $M_{\text{crit}} \approx 4.28 \times 10^{-9} (P_{\text{orb}}/4 \text{ hr}) M_\odot \text{ yr}^{-1}$. In the case of SDSS J0809, the Osaki expression gives a critical rate of $3.4 \times 10^{-9} M_\odot \text{ yr}^{-1}$, but we expect there may be appreciable case-to-case variation. Patterson (1984) predicts a mass transfer rate of $2.5 \times 10^{-10} M_\odot \text{ yr}^{-1}$ at the top of the period gap, while Hameury et al. (1988) determine a value of $1.0 \times 10^{-9} M_\odot \text{ yr}^{-1}$. We discuss annulus models for four mass transfer rates in the following sections.

A number of studies have considered the tidal cutoff boundary, $r_d$, of accretion disks (Paczyński 1977; Papaloizou & Pringle 1977; Whitehurst 1988; Schwarzenberg-Czerny & Różycka 1988; Whitehurst & King 1991; Goodman 1993; Warner 1995). Equation (2.61) in Warner (1995) gives a tidal cutoff radius of $0.49 D$, where $D$ is the separation of the stellar components. The other authors cited agree on $r_d \approx 0.33 D$. The latter prescription gives a tidal cutoff radius of $51 r_{\text{WD}}$, where $r_{\text{WD}}$ is the WD radius. In this connection, the difference in $D$ between a $q = 0.30$ system and a $q = 0.20$ system is relatively small. Consequently, the cutoff radius of the accretion disk is insensitive to $q$.

CVs whose mass transfer rates are above the critical rate, and so are stable, are expected to have an accretion disk temperature profile given by the standard model (Frank et al. 1992). Smak (1982) finds that the critical temperature for instability in the DIM model (Lasota 2001) occurs at $T_{\text{eff}} \approx 6300$ K. The standard model with the $r_d = 0.49 D$ cutoff radius produces outer annuli $T_{\text{eff}}$ values that are below the critical temperature for instability. The $r_d = 0.33 D$ cutoff radius produces an outermost annulus $T_{\text{eff}}$ value that is at or above the critical temperature for a mass transfer rate of at least $1.0 \times 10^{-9} M_\odot \text{ yr}^{-1}$. This result agrees with the study by Smak (1983) that NL systems have outer radii whose $T_{\text{eff}}$ values lie above the critical temperature. (We thank J.-P. Lasota for a communication on this point.) We adopt the tidal cutoff radius $r_d = 0.33 D$ for this system, and note that the WD mass and system mass ratio are uncertain, with a corresponding uncertainty in the exact cutoff radius.

10. ANNULUS MODELS FOR FOUR MASS TRANSFER RATES

Without independent information on the mass transfer rate, we used rates typical for systems with periods between 3 and 4 hr. To this end we have calculated standard models for a range of mass transfer rates characteristic of SW Sex stars and have found the best-fitting model for each mass transfer rate. We calculated four sets of accretion disk annuli with the adopted WD mass of $M = 1.0 M_\odot$. We chose mass transfer rates of $\dot{M} = 1.0 \times 10^{-9}$, $2.0 \times 10^{-9}$, $3.0 \times 10^{-9}$, and $5.0 \times 10^{-9} M_\odot \text{ yr}^{-1}$. Table 2 lists annulus properties for the mass transfer rate we ultimately chose as most likely.

The TLUSTY default value for viscosity is $\alpha = 0.1$, and since this is the value widely used for the “hot branch” in the DIM, we adopt it (Pringle 1981; Smak 2000; Tout 2000; Lasota 2001). The viscosity prescription strongly affects the annulus vertical structure, including the annulus optical thickness (Kříž & Hubeny 1986; Hubeny 1990). The TLUSTY parameters $\zeta_0$ and $\zeta_1$ control the vertical viscosity profile in an annulus. We have used the default values, which assure that there is no “thermal catastrophe” (Hubeny 1990; Hubeny & Hubeny 1998). The “thermal catastrophe” results when the vertical viscosity profile requires appreciable energy dissipation in low-density layers where cooling from strong resonance lines of light metals becomes important.

The TLUSTY models all produce a standard model $T_{\text{eff}}(r)$ for an individual annulus. The standard model requires all of the thermal energy generated within an annulus to result from viscous dissipation. Our current models also include irradiation of the disk by the WD, which can modify the standard model $T_{\text{eff}}(r)$ relation.

The chemical composition of the inner annuli, extending to a transition radius described below, include H and He as explicit atoms, and the remaining first 30 atomic species as implicit atoms. Inclusion as an implicit atom means that the atomic species contribute to the total number of particles and the total charge, but not to the opacity. The vertical temperature profile of a given small radius annulus varies smoothly from the central plane to the upper boundary of the annulus. At larger radii the temperature profiles show increasingly steep drops toward the upper boundary. For these annuli we “switched on” convection in TLUSTY. In addition, the larger radius annuli have lower $T_{\text{eff}}$ values, and opacity due to metals is included. Beginning at $T_{\text{eff}} \approx 12,000$ K, our annulus synthetic spectra include H, He, C, Mg, Al, Si, and Fe as explicit atoms and the remaining first 30 atomic species as implicit atoms. Because they have fairly high-lying first excited states, N and O do not contribute importantly to the continuum opacity of interest (photoionization.

\begin{figure}[h]
\centering
\includegraphics[width=\textwidth]{fig6.pdf}
\caption{View of the system described in Fig. 5 at orbital phase 0.0, $q = 0.30$, projected on the plane of the sky for $i = 65^\circ$. This is inferior conjunction for the secondary star; it is between the observer and the WD. The inner edge of the accretion disk extends to the WD equator in this plot (no truncation), and the outer accretion disk radius is at the tidal cutoff radius. The plot for a $q = 0.20$, $i = 67^\circ$ system is closely similar.}
\end{figure}
from the ground state is close to the Lyman limit, indeed shortfall of it for O).

The data for a given annulus have been extracted from an extensive TLUSTY tabulation of physical properties at all (typically 70) reference levels in the annulus, from the central plane to the upper boundary. Note from the last column of Table 2 that all annuli are optically thick. This condition, that all annuli are optically thick, is also true for all of the other mass transfer rates calculated.

The outer annuli for the mass transfer rate of $1.0 \times 10^{-9} M_\odot$ yr$^{-1}$ have outermost annulus $T_{\text{eff}}$ values that fall below the stability limit for the DIM model. Smaller mass transfer rates have appreciably larger fractions of the outer annuli that fall below the stability limit. This sets a lower limit on the mass transfer rates to consider.

11. SYSTEM MODELS FOR SUCCESSIVE MASS TRANSFER RATES

We began with a standard model $T(R)$ for a mass transfer rate of $1.0 \times 10^{-9} M_\odot$ yr$^{-1}$ and an untruncated accretion disk. Because the FUSE2 exposure was closer to the time of the HST exposure than the FUSE1 exposure, we initially chose the FUSE2 spectrum for comparison with our simulations. (The number of plots required to show the results for all four mass transfer rates would be very large. Consequently we present illustrative plots for only one of the mass transfer rates. Similarly, we tabulate annulus properties for only one of the four mass transfer rates [Table 2]). A continuum spectrum fit to the FUSE2, HST, and SDSS spectra for the untruncated disk had far too much UV flux as compared with the HST and FUSE2 spectra. This implied too large a contribution from high $T_{\text{eff}}$ annuli. From equation (1), the only way to reduce those contributions, and maintain the standard model, is to truncate the inner accretion disk. Accordingly, we started with the outer radius at the tidal cutoff radius and calculated models truncated at inner radii of 1.0, 4.0, 6.0, 8.0, 9.7, and 12.0 times the WD radius. We calculated continuum spectra for the models and determined individual scaling factors to fit them to the SDSS spectrum, requiring accurate superposition among the models at the long wavelength end of the SDSS spectrum. A model truncated at 8.2 times the WD radius was the best overall fit to the FUSE2, HST, and SDSS spectra, as judged visually. It would be very difficult to be quantitative in this estimate, since the degree of departure from a good fit in the optical

must be weighed against what is an approximate fit to the HST and FUSE spectra. In addition, the many UV emission-line features make location of the continuum problematic. The illustrative plots explain this difficulty. The synthetic spectrum spectral gradient was clearly too shallow in the fit to the SDSS spectrum, and was slightly too hot in the UV. The UV discrepancy increased on substituting the FUSE1 spectrum. Since the FUSE1 spectrum provides a more stringent UV constraint on the models (setting a maximum WD contribution), and since the FUSE1 spectrum mates fairly smoothly with the HST spectrum in their overlap region, while the FUSE2 spectrum does not, we decided to use the FUSE1 spectrum in our final comparisons between the models and the observed spectra. It is possible that the higher excitation FUSE2 spectrum results from a higher mass transfer rate from the secondary star.

A slight increase in the truncation radius, to 9.0 times the WD radius, made the fit to the optical spectrum slightly worse without a great improvement in the UV fit. Since the system synthetic spectrum had too much UV flux, and since increasing the truncation radius did not help, we tested the other option of reducing the WD $T_{\text{eff}}$. Substituting a 20,000 K WD reduced the WD contribution to the synthetic spectrum to a nearly negligible value, and improved the UV fit.

A mass transfer rate of $2.0 \times 10^{-9} M_\odot$ yr$^{-1}$ presented the same problem for an untruncated accretion disk. Following the procedure of the previous mass transfer rate, we started with the outer radius at the tidal cutoff radius and calculated models truncated at inner radii of 1.0, 4.0, 6.0, 8.0, 9.7, and 12.0 times the WD radius. The 9.7 model produced a very good fit to the optical (SDSS) spectrum but was too hot in the UV. As with the first mass transfer rate, substituting a 20,000 K WD substantially improved the UV fit.

We next considered a mass transfer rate of $3.0 \times 10^{-9} M_\odot$ yr$^{-1}$. We started with the outer radius at the tidal cutoff radius and calculated models truncated at inner radii of 1.0, 4.0, 8.0, 12.0, 14.3, 16.0, and 18.0 times the WD radius. Figure 7 shows the superposition of these models on the optical spectrum. Note the progression from a too large spectral gradient to a too small gradient for the synthetic spectra. It clearly is possible to select a best-fitting model in this spectral region, by visual inspection, from among the available choices. Although we have a $\chi^2$ fitting procedure available, we do not believe its use is warranted in the present illustration. Figure 8 connects the optical region to the UV. Note the large separation of the synthetic spectra in the UV for
relatively small differences in the optical. Figure 9 shows the fits in the UV only. The best overall fit appears to be the model with inner truncation radius \( r = 16.0r_{\text{WD}} \). (For brevity, the subsequent text will use “the 16.0 model” to reference this model, and similarly for other inner truncation radii.) The 14.3 model is too bright in the 1100 to 1350 \( \text{Å} \) interval while the 18.0 model has a large flux discrepancy longward of 1250 \( \text{Å} \). Figure 10 shows the fit of the 16.0 model to the optical spectrum, and Figure 11 shows the fit to the UV spectra. The Figure 10 result, that the contribution of the secondary star is essentially negligible in the optical, and completely so in the UV, applies to all of the models in this investigation. The fit of the 14.3 model to the optical spectrum is nearly identical to Figure 10. From Figure 7, the 18.0 model (the lowest of the seven plots) has a clearly too small spectral gradient in the optical. This discussion illustrates how we can use visual estimates to select the best-fitting model. Plots for other mass transfer rates show characteristics comparable to those shown here but with specific differences described for those mass transfer rates.

For comparison, Figure 12 substitutes the \( \text{FUSE2} \) spectrum. Note that, in Figure 11, the \( \text{FUSE1} \) spectrum and the \( \text{HST} \) spectrum fit reasonably smoothly in the overlap region, 1150–1200 \( \text{Å} \), while there is a clear discontinuity in the Figure 12 overlap. This comparison justifies our use of the \( \text{FUSE1} \) spectrum. An uncertainty remains for the SDSS spectrum because of its nonsimultaneity with the \( \text{HST} \) or \( \text{FUSE} \) spectra.

The fit to the \( \text{FUSE1} \) spectrum shown in Figure 11 places the synthetic spectrum too high in the vicinity of 1150 \( \text{Å} \). The 35,000 K WD contribution, barely visible at the bottom, now is nearly negligible. The fit near 1150 \( \text{Å} \) is improved but the flux deficit longward of 1300 \( \text{Å} \) is larger.

The same procedure was followed for the mass transfer rate of \( 5.0 \times 10^{-9} \ M_{\odot} \text{ yr}^{-1} \). We calculated a set of five models that bracketed the \( \text{HST} \) spectrum from too much to too little flux, with the synthetic spectra normalized to agree with the optical spectrum at 9200 \( \text{Å} \). All of these models showed a too large spectral gradient on comparison with the optical spectrum. All of the models were too hot in the \( \text{FUSE} \) range, for a 35,000 K WD. Substituting a 20,000 K WD improved the UV fit but in the \( \text{FUSE} \) range the synthetic spectrum still was too hot. With this substitution, as with the other mass transfer rates, the WD contribution became negligible.
Larger mass transfer rates would produce still greater discrepancies in the fits. Consequently, we do not consider larger mass transfer rates. The best-fitting model at the minimum mass transfer rate, $1.0 \times 10^{-9} M_\odot \, \text{yr}^{-1}$, is clearly inferior to the best-fitting models at $2.0 \times 10^{-9}$ and $3.0 \times 10^{-9} M_\odot \, \text{yr}^{-1}$, which are nearly comparable. The best-fitting model at the maximum mass transfer rate, $5.0 \times 10^{-9} M_\odot \, \text{yr}^{-1}$, also is inferior to the two intermediate mass transfer rates. We judge that the $3.0 \times 10^{-9} M_\odot \, \text{yr}^{-1}$ mass transfer rate is a slightly better spectral fit than the $2.0 \times 10^{-9} M_\odot \, \text{yr}^{-1}$ rate and adopt the mass transfer rate of $3.0 \times 10^{-9} M_\odot \, \text{yr}^{-1}$ for this system.

The most important result from the analysis of the four mass transfer rates is that the accretion disk must be truncated if the standard model applies. The fits to the HST spectrum exhibit a flux deficiency between about 1400 and the 1700 Å limit of the HST spectrum for models that have acceptable flux levels in the FUSE range. We see no way to accommodate that discrepancy by maintaining the standard model. If this result is to be accepted, then a physical effect must be introduced to produce the truncation. The two possibilities are evaporation (Menou et al. 2000; Dubus et al. 2001; Lasota 2001) and interaction with a WD magnetic field. Using the evaporation equation of Menou et al. (2000; eq. [3]), and setting the evaporation rate equal to the mass transfer rate, it can be shown that evaporation is too small an effect by 4 orders of magnitude. Groot et al. (2000) state that the SW Sex phenomenon can be explained in the context of a nonmagnetic WD, and Rodriguez-Gil et al. (2001) identify circular polarization in the SW Sex star LS Peg, and they argue that magnetic accretion plays a fundamental role in SW Sex stars. Hoard et al. (2003) summarize and describe the various arguments and evidence for and against magnetic WDs in SW Sex stars. Because of this uncertainty, and in anticipation of the results presented in § 12, we do not discuss possible truncation of the accretion disk by a magnetic field.

A further important result from the truncation models is that the best fit to the FUSE spectrum requires a nearly negligible WD contribution to the system synthetic spectrum. This result is hard to understand, since Figure 6 clearly shows that the inclination is too small for a vertically enlarged accretion disk rim to hide the WD. Hiding the WD would be even more difficult if the accretion disk is truncated. The negligible WD contribution cannot be a result of the accretion disk hiding the WD. The truncation models cover the full range of acceptable mass transfer rates, and a cool WD produces a better synthetic system spectrum fit than the 35,000 K WD in all cases. The alternative to hiding the WD behind the accretion disk rim, that the WD actually is cool, is difficult to understand in view of the large mass transfer rate that would be expected to produce a hot WD (Sion 1999; Szkody et al. 2002; Araujo-Betancor et al. 2003). The spreading layer theory applied to WDs (Piro & Bildsten 2004) might permit a prediction of the WD $T_{\text{eff}}$ for given $M_{\text{WD}}$ and $M$. Although we have found a model that is a fairly good fit to the combined spectroscopic data, the model appears unrealistic and we reject the truncated accretion disk scenario.

We are forced to conclude that the accretion disk in SDSS J0809 may depart from a standard model, which is the basis of all the models we have calculated to this point.

12. NONSTANDARD MODEL ACCRETION DISKS

Various studies (e.g., Rutten et al. 1992), based on image reconstruction, find a flatter temperature profile than the standard $T(R)$ relation. It is of interest to adopt an isothermal accretion disk and test whether that prescription produces a viable model.

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**Fig. 13.**—Same as in Fig. 11, except a 20,000 K WD has been substituted. The synthetic spectrum now passes through the middle of the FUSE1 spectrum near 1150 Å, but the flux deficit longward of 1300 Å is appreciable.

**Fig. 14.**—Synthetic spectrum for three isothermal accretion disks (untruncated). Note that the spectral gradient is too large in all cases.

**Fig. 15.**—Same as in Fig. 9, but showing the isothermal disk models from Fig. 14. The relative contribution of the 35,000 K WD is less than in Fig. 9 because the required scaling factor to superpose the spectra is larger in this case since the accretion disk is not truncated. Note that there is a large discrepancy from the FUSE1 spectrum. The 12,000 K synthetic spectrum provides the best fit to the HST and FUSE1 spectra, but the corresponding fit in the optical region is poor.
Figure 14 shows the fits of isothermal 15,500, 13,000, and 12,000 K untruncated accretion disks to the observed optical spectrum. Figure 15 shows the fits to the HST and FUSE1 spectra. Each model includes the contribution of a 35,000 K WD. The WD contribution, normalized as for the 13000 K model, is shown separately at the bottom of Figures 14 and 15. The 12,000 K model fits the HST spectrum fairly well but has too little flux in the FUSE region. All three models are poor fits to the observed optical spectrum.

The tomographic image reconstruction for SW Sex itself (Rutten et al. 1992) shows that the accretion disk temperature profile follows the standard model in the outer part of the accretion disk, but at a transition radius the temperature profile becomes flat and remains nearly so to the inner edge, with a slow increase. We have implemented a model similar to this reconstruction by first adopting the mass transfer rate, $3.0 \times 10^{-9} M_\odot$ yr$^{-1}$, for the best standard model, and then finding the radius for which the local $T_{\text{eff}}$ was 13,000 K. This transition value was based on our result for the isothermal disk models. We used an accretion disk that was not truncated and set the $T_{\text{eff}}$ of all annuli within the transition radius equal to 13,000 K. The resulting model, in contrast to the isothermal models, fits the optical spectrum very well. However, the fit to the HST spectrum left appreciable positive residuals. We experimented with a larger temperature isothermal region, with a smaller radius for the crossover to the standard model. Eventually we found that an isothermal region of 14,000 K, with a crossover to the standard model at $r/r_{\text{WD}} = 18.0$, gave a fair representation of the HST and FUSE1 spectra. (Note that the tidal cutoff radius is at $r/r_{\text{WD}} = 51.3$.) The temperature profile of the accretion disk is in Table 3. This model assumes the accretion disk extends to the WD equator, so only half of the WD is visible. The BINSYN software allows for eclipse of inner annuli segments that the WD eclipses.

The fit to the HST and FUSE1 spectra suggest the possibility of an improved fit with a higher $T_{\text{eff}}$ WD. We calculated models, in addition to the 35,000 model, of 40,000, 45,000, and 50,000 K. All four models have nearly identical fits to the upper (discovery) SDSS spectrum, as shown in Figure 16. The lower (archival) SDSS spectrum is discussed in the following section. Figure 17 shows the fits to the HST and FUSE1 spectra. The bottom spectrum is the contribution of the accretion disk. Based on the fit near 900 Å, the 45,000 K model roughly bisects the observed continuum.

![Figure 16](image1.png)

**Fig. 16.**—Models with four different values of WD $T_{\text{eff}}$ and an accretion disk that is isothermal in the inner region and follows a standard model in the outer region. The accretion disk temperature profile is in Table 3. The models fit the discovery SDSS J0809 spectrum. The other observed spectrum is from the archive. The models are insensitive to the WD $T_{\text{eff}}$ at optical wavelengths and are essentially indistinguishable in the figure. The 45,000 K WD contribution is at the bottom.

![Figure 17](image2.png)

**Fig. 17.**—Same as in Fig. 16, except in the UV. From top to bottom, the synthetic spectra show the models containing a WD with $T_{\text{eff}}$ 50,000, 45,000, 40,000, and 35,000. The lowest synthetic spectrum is the contribution of the accretion disk only.
ponents. The value \( A \) values, tidal cut-off radius, and the standard model. The discovery SDSS spectrum, the scaling factor is 6.2. The synthetic spectra are given in Eddington flux units; a divisor, \( s_N \), is applied to superpose a synthetic spectrum on the observed spectra. Since the observed flux is tabulated in units of 1.0 \( \times 10^{-14} \) ergs s\(^{-1}\) cm\(^{-2}\) Å\(^{-1}\), the distance, \( d \), is given by \( d^2 = s_N/1.0 \times 10^{-14} \). In the present case, for the model using the discovery SDSS spectrum, the scaling factor is 6.1 \( \times 10^{28} \); the formal derived distance to SDSS J0809 is 800 pc. Note that there is a large associated uncertainty. Tentative system parameters are listed in Table 4. The Table 4 parameters are consistent with other SW Sex systems.

### 13. THE ARCHIVAL SDSS SPECTRUM AND MODEL IMPLICATIONS

Figure 16 shows the fit of the Table 3 model to the discovery SDSS spectrum. The lower SDSS spectrum is the archival spectrum. Dividing the discovery spectrum by 1.3 and overplotting produces a close fit to the archival spectrum between 5500 and 9200 Å. The discovery spectrum shows increasing positive residuals shortward of 5500 Å, reaching a maximum at 4100 Å, and decreasing to coincidence with the archival spectrum at 3800 Å.

### TABLE 4

| Parameter Value | Parameter Value |
|-----------------|-----------------|
| \( M_{WD} (M_\odot) \) | 1.00 ± 0.2 |
| \( M_{sec} (M_\odot) \) | 0.30 ± 0.10 |
| \( M \) (\( M_\odot \) yr\(^{-1}\)) | 3.0 \( \pm 1.0 \times 10^{-9} \) |
| \( P \) (days) | 0.133 |
| \( D \) (\( R_\odot \)) | 1.1901 |
| \( \Omega_{WD} \) | 155.7 |
| \( T_{eff \ WD} \) | 45,000 \( \pm 5000 \) |
| \( T_{eff \ WD} \) (\( K \)) | 3500 (nominal) |
| \( \omega \) | 1.0 |
| \( r_s \) | 0.5 |
| \( b_s \) | 0.25 |
| \( h \) | 0.08 |

**Notes.—** WD refers to the WD; \( s \) refers to the secondary star, \( D \) is the component separation of centers, and \( \Omega \) is a Roche potential. Temperatures are polar values, \( s \)-values are bolometric albedos, and \( h \)-values are gravity-darkening exponents. The value \( r_s \) specifies the outer radius of the accretion disk, set at the tidal cut-off radius, and \( R_s \) is the accretion disk inner radius, as determined in the final system model, while \( H \) is the semiheight of the accretion disk rim, based on the standard model.

The synthetic spectra are given in Eddington flux units; a divisor, \( s_N \), is applied to superpose a synthetic spectrum on the observed spectra. Since the observed flux is tabulated in units of 1.0 \( \times 10^{-14} \) ergs s\(^{-1}\) cm\(^{-2}\) Å\(^{-1}\), the distance, \( d \), is given by \( d^2 = s_N/1.0 \times 10^{-14} \). In the present case, for the model using the discovery SDSS spectrum, the scaling factor is 6.1 \( \times 10^{28} \); the formal derived distance to SDSS J0809 is 800 pc. Note that there is a large associated uncertainty. Tentative system parameters are listed in Table 4. The Table 4 parameters are consistent with other SW Sex systems.

### TABLE 5

**Accretion Disk Temperature Profile for Archival SDSS Spectrum**

| \( r/r_{WD} \) | \( T_{eff \ WD} \) (K) | \( r/r_{WD} \) | \( T_{eff \ WD} \) (K) | \( r/r_{WD} \) | \( T_{eff \ WD} \) (K) |
|-----------------|-----------------|-----------------|-----------------|-----------------|-----------------|
| 1.0000          | 11,500          | 1.0000          | 11,500          | 1.0000          | 11,500          |
| 1.0225          | 11,500          | 1.0225          | 11,500          | 1.0225          | 11,500          |
| 1.3611          | 11,500          | 1.3611          | 11,500          | 1.3611          | 11,500          |
| 3.0260          | 11,500          | 3.0260          | 11,500          | 3.0260          | 11,500          |
| 4.6908          | 11,000          | 4.6908          | 11,000          | 4.6908          | 11,000          |
| 6.3557          | 11,000          | 6.3557          | 11,000          | 6.3557          | 11,000          |
| 8.0205          | 11,000          | 8.0205          | 11,000          | 8.0205          | 11,000          |
| 9.6854          | 11,000          | 9.6854          | 11,000          | 9.6854          | 11,000          |
| 11.3502         | 10,500          | 11.3502         | 10,500          | 11.3502         | 10,500          |
| 13.0151         | 10,500          | 13.0151         | 10,500          | 13.0151         | 10,500          |
| 14.6799         | 10,500          | 14.6799         | 10,500          | 14.6799         | 10,500          |

Before attempting to model the archival SDSS spectrum we seek a likely physical basis for the observed change from the discovery spectrum. An important point is that the change took place in only 2 days. In § 11 we have argued that the accretion disk cannot be approximated by a standard model and that models truncated on the inner edge are unrealistic. In § 12 we found that isothermal accretion disks produce poorly fitting models, but that a model whose temperature profile mimics SW Sex satisfactorily fits the discovery SDSS spectrum as well as the UV data. In § 11 we have already suggested that the \textit{FUSE}2 spectrum differs from the \textit{FUSE}1 spectrum because of a higher mass transfer rate. We believe the two SDSS spectra most likely differ for the same reason.

If the mass transfer rate from the secondary star decreases, a cooling wave will propagate inward from the outer accretion disk rim. The temperature of the outer annuli could fall below the transition temperature from the high state. With this scenario in mind, we started with the Table 3 profile, reduced the outer annuli temperatures and calculated a new system model. Although the flux level was reduced, the system synthetic spectrum had a spectral gradient that was too high compared with the archival spectrum. The scaling factor to superpose the synthetic spectrum on either observed spectrum has to remain fixed, since it connects directly to the system distance. We continued temperature reductions for all annuli, reaching the final temperature profile of Table 5. Note that a complete system model was required.
dependent model for V794 Aql shows 2 day changes in annulus. The SDSS J0809 drop rate is not excessive. The theoretical time-rates that exceed the 2 day drop of 0.3 mag. for SDSS J0809, so a useful comparison. The drops in V794 Aql brightness have the VY Scl system V794 Aql (Honeycutt et al. 1994) provides a detailed study of the high-state/low-state transition in very large brightness variations of VY Scl systems, so the physically acceptable, based on a comparison with V794 Aql. Thus, the changes from Table 3 to Table 5 appear to be theoretically acceptable. As shown by the lowest plot.

These fits have unacceptably large residuals from the HST spectrum. A basic problem is that we have only a single HST spectrum and it is not contemporaneous with any of the other observed spectra. No information is available about whether the HST spectrum changes in a time interval of days, and by how much.

The proposed scenario to explain the differences in the two SDSS spectra resembles the widely accepted explanation of VY Sculptoris star behavior (Livio & Pringle 1994; King & Cannizzo 1998). However, SW Sex objects do not undergo the very large brightness variations of VY Scl systems, so the physical cause of mass transfer variation in SDSS J0809 is uncertain. A detailed study of the high-state/low-state transition in the VY Scl system V794 Aql (Honeycutt et al. 1994) provides a useful comparison. The drops in V794 Aql brightness have rates that exceed the 2 day drop of 0.3 mag. for SDSS J0809, so the SDSS J0809 drop rate is not excessive. The theoretical time-dependent model for V794 Aql shows 2 day changes in annulus $T_{\text{eff}}$ values as large as 10,000 K. Also, successive 2 day log $T_{\text{eff}}$ profiles across the accretion disk are nearly vertical displacements from each other except near the end of the simulation. Thus, the changes from Table 3 to Table 5 appear to be theoretically acceptable, based on a comparison with V794 Aql. The two cases are not entirely comparable since the SDSS J0809 starting model (Table 3) is not a standard model.

Although it originally appeared reasonable to calculate a system model fitting the combined spectra then available, we conclude that contemporaneous spectra are essential for reliable models of systems that may show significant day-to-day changes. Note that this conclusion is based on a quantitative comparison with model calculations.

14. DISCUSSION

The FUSE1 spectrum fits smoothly with the HST spectrum in the overlap region, while the FUSE2 spectrum does not fit well. This is inconclusive evidence that SDSS J0809 was in a lower accretion state at the times of both the HST and FUSE1 exposures, and that the FUSE2 spectrum was obtained during a higher state. Because of this uncertainty, we emphasize again that this study has been an illustration of techniques to simulate accretion disks, with the SDSS J0809 observational data serving as the vehicle for that illustration.

All of these TLUSTY annulus models are optically thick, including the nonstandard models. The optically thick annulus spectra with their absorption lines and large Balmer discontinuities are in conflict with all of the observed emission-line spectra (FUSE, STIS, and SDSS). What do the emission lines tell us and what is the most likely way the model should be changed to produce the observed emission lines? All of the SDSS J0809 emission lines are single-peaked, one of the defining characteristics of SW Sex stars. In contrast to the SW Sex result that the emission lines arise exclusively from the accretion stream shock (Groot et al. 2000), Hellier (2000) argues for emission lines produced in a wind. Hellier asserts that a wind provides the most straightforward explanation of single-peaked emission lines, and that in particular the wind component fills in any double-peaked disk emission in the Balmer lines (also see Drew & Proga 2000). Table 6 provides some details concerning the Balmer emission lines in SDSS J0809. There are no P Cygni profiles among the SDSS J0809 Balmer lines or He lines. There is only a hint of an absorption component at the blue edge of the C IV 1550 Å lines.

The most direct explanation of the SDSS J0809 emission lines is production in a chromospheric or coronal region overlying the accretion disk. Several mechanisms have been proposed that could produce coronae: Meyer & Meyer-Hofmeister (1994) use a coronal siphon; Murray & Lin (1992) depend on sound waves that accelerate to form shocks; Liang & Price (1977) propose general nonthermal processes to transport energy vertically from the accretion disk; Hubeny (1990) depends on the vertical variation of viscosity within an annulus; and Cannizzo (2000) applies a thermal evaporative instability (Shaviv & Wehrse 1986).

An extensive literature exists relating to formation of emission lines in CV systems. Williams (1980); Tylenda (1981) and Cheng & Lin (1989) discuss emission-line formation in optically thin outer annuli of accretion disks. Ko et al. (1996) discuss emission-line formation as a result of X-ray/EUV illumination of the accretion disk by the central object. Horne & Marsh (1986) and Ferguson (1997) discuss emission-line formation in more general cases. The SDSS spectrum does not extend far enough in the UV to determine the last resolvable Balmer line; hence, it is not possible to apply the Inglis-Teller equation to determine the electron density where the continuum is produced. Note from Table 6 that the Balmer decrement is relatively flat. (Compare with case A and case B for planetary nebulae, Table 2 of Aller &

![Figure 19](image-url)
Liller [1968] and the result that Balmer decrements for some Be stars approximate those of planetary nebulae [Burbidge & Burbidge 1953 and references therein.] Horne & Marsh (1986) point out that in the case of a flat Balmer decrement the Balmer emission lines are optically thick. The fact that all of the annulus models are optically thick, together with the result that the Balmer emission lines are optically thick, is consistent with an origin of emission lines in a chromosphere or corona, not in optically thin outer annuli. Moreover, emission lines produced in optically thin outer regions of an accretion disk occur in a temperature environment of 6000–9000 K (Cheng & Lin 1989). The high excitation emission lines in SDSS J0809, particularly in the FUSE spectra, require a much higher temperature. A notable feature of the observed optical Balmer emission lines is that they are narrower than the synthetic spectrum absorption lines (e.g., see Fig. 10). The model absorption lines are broadened by Keplerian rotation appropriate to the orbital plane. The narrower emission lines could be an indication they are produced well above the accretion disk face, where the horizontal acceleration due to the WD, and the associated Keplerian speed, is smaller.

Extrapolation of the SDSS spectrum indicates the absence of a Balmer jump. La Dous (1989) points out that this condition implies a much lower vertical temperature gradient in an accretion disk than is true in a stellar atmosphere, and likely associates with energy production in the accretion disk, in contrast to a stellar atmosphere.

We doubt that addition of an emission line slab to any of the models will smoothly fill in the absorption lines and convert the absorption-line spectrum to the observed emission-line spectrum. Rather, we believe that a modification of the individual annulus models is necessary to convert their spectra to emission-line spectra. What are the prospects to do this? Hubeny (1990) provides an analytical model for accretion disk annuli that is the basis of the TLUSTY annulus model calculation. As discussed in § 10, TLUSTY includes two parameters, $\zeta_0$ and $\zeta_1$, that specify the vertical viscosity profile in an annulus, and therefore the rate of energy generation as a function of $z$ value. These parameters have default values that prevent a “thermal catastrophe” (Hubeny 1990; Hubeny & Hubeny 1998). Carefully modified values of these parameters can, in principle, produce emission lines.

The Hubeny (1990) analytical model specifically considers conditions that lead to boundary temperatures higher than the annulus $T_{eff}$. As discussed by Hubeny (1990) the energy dissipated in low density (coronal) layers can be removed by strong (emission) resonance lines of abundant species, such as H, Mg, C, N, Si, C, N, O, etc. Numerical simulations for actual physical models (Stone et al. 1996) indicate that viscosity increases toward the surface, as required for the proposed TLUSTY models. Tout (2000) discusses our present understanding of viscosity, while Hawley (2001) discusses the present status of magnetohydrodynamic simulations of cylindrical Keplerian disks and their relation to viscosity. The calculation of TLUSTY models with modified values of $\zeta_0$ and $\zeta_1$ is beyond the scope of the present investigation.

We have not accounted for the half of the liberated potential energy associated with the mass transfer stream that is usually assigned to accretion luminosity. Part could be dissipated in the shock where the transfer stream merges with the accretion disk. Although BINSYN has the capability to model a rim bright spot, the light curve provides no indication of a bright spot’s existence. A major part of the energy goes into heating the WD. We assume the remainder is carried away in a wind.

An original motivation for analyzing SDSS J0809 was the hope that visibility of the WD could be demonstrated. The primary argument for detection of the WD is the model’s approximate representation of the UV continuum shortward of 1200 Å. If more extensive observational data support this model, then SDSS J0809 is very likely an SW Sex star with a high WD $T_{eff}$ in agreement with $T_{eff}$ values for other SW Sex stars.

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