Measuring cell-type specific differential methylation in human brain tissue

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Abstract
The behavior of epigenetic mechanisms in the brain is obscured by tissue heterogeneity and disease-related histological changes. Not accounting for these confounders leads to biased results. We develop a statistical methodology that estimates and adjusts for cell type composition by decomposing neuronal and non-neuronal differential signal. This method provides a conceptual framework for deconvolving heterogeneous epigenetic data from postmortem brain studies. We apply it to find cell-specific differentially methylated regions between prefrontal cortex and hippocampus. We demonstrate the utility of the method on both Infinium 450k and CHARM data.

Keywords: DNA methylation, epigenetics, differentially methylated region, brain region, cell-type heterogeneity, deconvolution, NeuN, neuron, glia, postmortem brain, fluorescence activated cell sorting

Background
The brain is a particularly good example of highly specialized and diverse functions arising from the same genetic program. Epigenetic mechanisms copy information other than the sequence itself during cell division, such as DNA methylation and chromatin arrangements [1]. Therefore, epigenetics is an attractive substrate for understanding specialized brain function and its disruption in disease. An example of an epigenetic mechanism is DNA methylation, which at CpG dinucleotides is heritable during cell division, because that sequence is recognized by a DNA methyltransferase on newly replicated strands. In post-mitotic cells such as neurons, DNA methylation has been shown to contribute to memory formation [2], other types of synaptic plasticity [3], drug addiction [4], and reversible behavior in the honeybee Apis mellifera [5]. Neurological diseases have also been linked to mutations in DNA methyltransferases [6] and methyl-CpG-binding proteins [7].

Despite its importance, the epigenetic profile of the brain has not yet been explored in depth due to, among other factors, brain region and cell-type heterogeneity.

The cerebral cortex has distinct functional regions, each organized into cell layers of neurons and glia that vary throughout the cortex [8]. While neurons are the main signaling unit, glia play an important role in scaffolding and maintaining synapses [9]. Epigenetic profiling of neurons and non-neurons using the Illumina GoldenGate assay has shown that neurons and glia have a unique DNA methylation signature that cannot be assessed using samples from bulk cortex [10]. This is important because shifts in glial cell populations such as oligodendrocytes contribute to defects in cortical myelination, and microglia activation has been linked to neurodegenerative disorders [11].

Traditional epidemiological studies using brain tissue done so far do not account for differences in cell-type composition [12-14]. Statistical methods for estimating cell-type composition from genomic profiles have been developed for gene expression [15-18], and DNA methylation in blood tissue [19] and in brain [20]. DNA methylation can then be used to calculate and potentially adjust for differing cell proportions, a crucial step when studying diseases where cell population shifts occur [21].

While DNA methylation data can now be used to calculate differing cell proportions, individual cell-type profiling has not been done yet due to the extensive mixture combinations required for validation in blood (at least five different cell types) [19]. In contrast, cell profiling in...
the brain can be achieved by separating the cell types into two main compartments: neurons and glia. In a recent publication [20], a method is proposed for estimating neuron and glia proportions similar to the approach proposed for whole blood [19]. While this is a useful step toward correcting for cell distribution, this approach does not permit the unbiased estimation of glia- and neuron-specific differences between two sets of samples [20]. Such calculated cell-type specific analysis offers a crucial advantage in studies of the brain, where neurons and glia cannot generally be dissociated. For example, many brain bank specimens contain pulverized material or even paraffin-fixed specimens, for which methods exist to isolate DNA for genome-scale methylation analysis [22]. Flow sorting, as done here to develop this method, generally does not yield sufficient quantities of material for genome-scale analysis, and is also extremely labor intensive and costly.

Here we have developed a novel statistical epigenetics approach that takes advantage of the stability and cell-type specificity of DNA methylation, as well as the fact that the brain is made up of two major cell types, neurons and glia, in order to deconvolve the two main cell components in the brain. Thus, the method allows one to measure DNA methylation, for example, across brain regions, and from those data calculate to a first approximation the difference in DNA methylation that is neuron- or glia-specific. Moreover, once sorted data is available for a given brain region, investigators can use such data to calculate cell proportions on any unsorted sample measured on the same methylation platform without the need to sort themselves. This approach should have broad application to a range of problems in neurodevelopment and disease research.

Results and discussion

Estimation of mixture proportions

We measured DNA methylation profiles for dorsolateral prefrontal cortex (DLPFC), hippocampal formation (HF), and superior temporal gyrus (STG) samples dissected from frozen brains of normal individuals using the comprehensive high-throughput arrays for relative methylation (CHARM) technique [23]. We also labeled and separated neuronal nuclei in a subset of samples using a neuron-specific antibody (NeuN) and fluorescence-activated cell sorting (FACS) [24, 25]. Neuronal (NeuN+) and non-neuronal (NeuN−) fractions from DLPFC, HF, and STG were collected for downstream processing and methylation analysis with CHARM (Additional File 1, Figure S1).

To illustrate the downstream effects of the cell population confounding problem, and focusing on two brain regions for clarity, we examined a genomic region for which: (1) no difference was observed between DLPFC and HF in either neuronal or glial fractions; and (2) a difference was observed between neuronal and glial nuclei within each brain region (Figure 1a). Note that a strong methylation difference between brain regions is observed between the non-cell-sorted brain samples. This must be a false-positive and, as we demonstrate below, must be due to differences in cell-type composition between the brain regions.

We modified a statistical method originally developed to estimate cell populations in blood [19] to calculate neuronal and glial proportions for each of our unsorted samples, adapting it to use a constrained linear optimization model (Figure 1b, see overview in Additional File 1, Figure S2a). We confirmed that our approach effectively estimated these cell proportions using a mixture experiment with an independent set of samples (Additional File 1, Figure S2b). To demonstrate that the false-positive results of Figure 1 are due to difference in cell-type distribution, we mathematically reconstructed the unsorted sample methylation profile using the pure neuronal and glial profiles and their estimated frequencies and predicted this result (Additional File 1, Figure S2c).

While the above results rely on having neuronal and glial methylation signals for each brain region, we performed additional analyses to determine whether accurate estimates of neuronal and glial proportions in unsorted samples from a brain region could be obtained using selected data from another brain region. Figure 1c shows the accuracy of estimates obtained from such ‘universal’ data, compared to estimates based on sorted data from each individual brain region. We also accurately reproduce the cell proportion estimates from our mixture experiment (Additional File 1, Figure S2d, see Materials and Methods for additional details of how this analysis was performed). Our results indicate that accurate estimates could be obtained for a new brain region without the need to sort samples from that region.

Generative model of methylation signal

Currently, obtaining cell-type specific DMRs from unsorted samples is a mathematically intractable problem. However, because in human postmortem brain samples we are interested in just two cell fractions (neurons and glia), we were able to develop a novel statistical procedure to perform this deconvolution. The methylation signal for any sample *i* at a given genomic location, *Y* _i_, can be modeled as a linear combination of the methylation levels of neuronal and glial fractions in the brain region where the sample *i* was obtained. Specifically, for any given CpG, the DNAm profile of a mixed sample can then be written as (see Materials and Methods):

\[ Y_i = \mu_{D-} + (\mu_{D+} - \mu_{D-}) \pi_i + (\mu_{H+} - \mu_{D+}) X_i (1 - \pi_i) + (\mu_{H-} - \mu_{D-}) X_i \pi_i + \epsilon_i \]
Here, we define $\mu_{D,+}$ and $\mu_{D,-}$ to be the methylation level of neuronal and glial fractions, respectively, in DLPFC, with $\mu_{H,+}$ and $\mu_{H,-}$ defined similarly for HF. For each sample $i$, $X_i$ is 1 if sample $i$ was obtained from HF and 0 for DLPFC samples. We let $\pi_i$ to be the fraction of glia in sample $i$, so that $1 - \pi_i$ is the fraction of neurons. Finally, $\epsilon_i$ represents biological variability and measurement error. The statistical insight is that because the term $\pi_i$ can be estimated with high precision (Additional File 1, Figure S2c), it can be treated as fixed. With this assumption in place, the equation above is actually a linear model of the form

$$Y_i = \beta_0 + \beta_1 \pi_i + \beta_2 X_i (1 - \pi_i) + \beta_3 X_i \pi_i + \epsilon_i,$$

in which the parameters $\beta_2$ and $\beta_3$ represent the quantities we are interested in measuring, that is, the differences in neurons and glia, respectively, between brain regions. We refer to this model as M2. Fitting this linear model by least squares and obtaining estimates for millions of genomics locations is computationally feasible. (Fitting the model for 4 million probes took about 5 seconds on our laptop).

This statistical framework also exposes the problem with existing naive approaches to assess DNA methylation signatures in mixed samples. To date, most published analyses ignore cell composition [26-30] and look for associations in a way equivalent to fitting a simple linear regression model $Y_i = \alpha_0 + \alpha_1 X_i + \epsilon_i$ (where the t-test is derived from the $X_i = 0$ or 1). We refer to this model as M1. In M1, the parameter $\alpha_1$ represents a combination of the methylation differences in neurons and glia in which it is impossible to deconvolve cell-type-specific contributions. Furthermore, we can mathematically demonstrate that the least squares estimate of $\alpha_1$ will be biased by differences in cell-type frequency under the null hypothesis of no difference in methylation between brain regions (Figure 2a, see Methods Section). Similarly, a naive model suggested by Guintivano et al. [20] that incorporates cell-type proportions $Y_i = \gamma_0 + \gamma_1 X_i + \gamma_2 \pi_i + \epsilon_i$ (we refer to this as model M3) will lead to biased results as well, and to decreased power to detect methylation differences (Additional File 1, Figure S3). We also note that even the superior methods show a small amount of bias (boxplot not centered at 0), which can be explained by slightly inaccurate mixture estimates (see Materials and Methods).

To test the utility of our model, we confirmed our theoretical results with experimental data. First, we obtained estimates of significant neuron-specific methylation differences between DLPFC and HF using sorted brain samples (gold standard, FDR <0.05, Additional File 1, Table S1). We then used the unsorted brain data to calculate the parameters representing the differences in brain-region methylation using models M1 (total methylation difference, $\alpha_1$) and M2 (neuron-specific methylation difference, $\beta_2$). Figure 2b shows that we can estimate neuron-specific methylation differences more accurately with model M2. Therefore, we can assess neuron-specific methylation differences between DLPFC and HF using whole tissue after estimating cell proportions.

Using the sorted samples, we did not find statistically significant DMRs in the non-neuronal fraction, which highlights the importance of isolating a neuronal signal from total methylation values. The result is in agreement with recently published literature suggesting that glia cells, contained in the NeuN- fraction, have less diverse transcription patterns across brain regions than neurons [31], the latter having a distinct DNA-methylation signature [10]. Interestingly, proteins involved in modifying chromatin...
were found among the brain-region neuronal DMRs, supporting the role of epigenetic mechanisms in neuronal function and synaptic plasticity [32]. For example, neuron-specific methylation of the histone methyltransferase SETD3, which methylates histone H3 at lysine 36, was lower in HF than in DLPFC, and histone deacetylase HDAC4 shows hypomethylation in DLPFC. Other genes involved in neural differentiation include JAG1, TTL1, NPAS4, CUX-2, DOCK2, NGEF, OLFM1, SATB2, and GIT2.

**Application to Illumina Infinium HumanMethylation450 Dataset**

While the CHARM platform has many advantages for studying methylation patterns due to the high density and location of probes, the assay requires restriction-enzyme digestion and lacks single-base resolution. The Illumina Infinium HumanMethylation450 (450K) array has emerged as an affordable alternative to obtain reliable quantitative measurements of methylation. To demonstrate the performance of our method on data from the 450K array, we used data accessible at NCBI GEO database (Guintivano et al. [20], accession GSE41826), consisting of 77 normal samples from prefrontal cortex, of which 29 were sorted into neuronal and glial fractions, nine were mixtures of neurons and glia of known proportions, and 10 were unsorted, whole-tissue samples. We first applied our statistical method to account for cell heterogeneity in a set of genomic regions and compared these results to the actual observed methylation for these samples (Additional File 1, Figure S4a). Using these cell-fraction estimates and the pure neuronal and glial profiles, we mathematically reconstructed the methylation profile for the mixture samples in a set of genomic regions and compared these results to the actual observed methylation for these samples (Additional File 1, Figure S4b). The cell proportion calculations agreed with Guintivano et al.’s estimates for prefrontal cortex. Our CHARM cell proportion estimates are on average higher than those obtained using 450K arrays, as the CHARM data were sampled using 2 mm dermal biopsy punches to minimize white matter contamination. The mathematical reconstruction of the methylation signal was also done for the unsorted samples (Additional File 1, Figure S4c).

Given that sorted data on the 450K array are only available for one brain region, we cannot demonstrate our improved ability to detect true brain-region differences in cell-type specific methylation on this platform. However, to show our ability to reduce false-positive signal, we constructed an artificial comparison by grouping the mixture samples with the highest and lowest neuronal fractions and applied models M1 and M2 to look for differences between these two groups. Any such differences are clearly due only to cell-fraction variation, and model M2 reduces the number of false-positive signals (Additional File 1, Figure S4d), as we saw for our CHARM data (Figure 2a). These results indicate that our methods apply well to data from the 450K array.

**Conclusions**

We describe an algorithm to address a gap in the analysis of methylation data from complex tissues with varying degrees of cell-type heterogeneity such as the brain. To appropriately measure the methylation differences between two brain cortical regions, we separated a small number of samples of the brain nuclei into neuronal and non-neuronal fractions by cell sorting, and developed a statistical method to account for cell heterogeneity in a set of unsorted samples by decomposing the signal into its two components. Our proposed method takes advantage
of the separation of the brain cells into two nuclei fractions. The neuronal fraction encompasses a diverse population of neuronal cells, and the non-neuronal nuclei contain astrocytes, oligodendrocytes, a minority of NeuN-negative neurons, and endothelial cells. To separate the methylation signal into more than two fractions is mathematically plausible, as one can simply define $\pi_i$ as the fraction of cells of the cell-type of interest, fit model M2, and consider $\beta_3$. However, investigating how robust our results are to the noise in cell fraction estimates when there are more than two cell types will require further study.

The experimental design presented here provides for efficient use of scarce tissue bank resources and limited funds for methylation profiling. Once purified methylation profiles are obtained from the brain regions of interest using a small number of samples, the gold-standard methylation data can be used for any further analysis, and by any laboratory, without the need to sort nuclei again. We have demonstrated our method on data from both CHARM and the Illumina 450K array. To apply our method to a new measurement platform or new brain regions, we recommend performing cell sorting on a subset of the samples to first obtain the cell-type specific signals needed for the cell-fraction estimation. If brain-region specific data are not available, we have also shown that for samples measured with CHARM, accurate estimates of cell proportions in samples from one brain region could be obtained using sorted data from another brain region. We provide a framework that can be applied, even retrospectively, to psychiatric case-control studies using frozen postmortem brain samples, and can be easily adapted to other microarray or sequencing platforms, and to other target tissues.

Materials and methods

Generative model of methylation signal

To illustrate our model, we consider the case of estimating differences in methylation between DLPIFC (D) and HF (H). We assume these brain tissues are composed of two cell types, NeuN+ (+) and NeuN- (-). For a fixed genomic position, we let $\mu_{j,k}$ be the methylation level in region $j$, $j \in \{H, D\}$ and cell type $k, k \in \{+, -\}$. Scientifically, we are interested in identifying genomic locations where $\mu_{H} - \mu_{D} \neq 0$, that is, where NeuN+ or NeuN- have different methylation levels in the two brain regions.

Given a sample $i$ and considering a fixed genomic position, we define $X_i$ as the indicator that sample $i$ is from the hippocampus, that is, $X_i = 1$ if sample $i$ is from the hippocampus and 0 otherwise. We also define $\pi_i$ to be the fraction of sample $i$ that consists of NeuN- cells ($1 - \pi_i$ is the fraction of NeuN+ cells). We can then derive the expected value of the methylation signal of sample $i$ at that genomic position as

$$E(Y_i) = \pi_i \mu_{D,-} + (1 - \pi_i) \mu_{D,+} (1 - X_i) + \pi_i \mu_{H,+} + (1 - \pi_i) \mu_{H,-} (X_i).$$

Rearranging terms gives:

$$E(Y_i) = \pi_i (\mu_{H,+} - \mu_{D,+}) + (1 - \pi_i) (\mu_{H,-} - \mu_{D,-}) X_i.$$

Suppose we wanted to estimate whether there is a difference in methylation between the two brain regions being considered, H and D. If we fit a model with terms matching those above, that is,

$$E(Y_i) = \beta_0 + \beta_1 \pi_i + \beta_2 X_i (1 - \pi_i) + \beta_3 X_i \pi_i$$

then our estimated coefficients have interpretations equivalent to the generative model in Equation 1. Specifically, we can test the hypothesis of no difference in NeuN+ methylation between D and H ($\mu_{H,+} - \mu_{D,+} = 0$) by testing the hypothesis that $\beta_2 = 0$, and the hypothesis of no difference in NeuN- methylation between D and H ($\mu_{H,-} - \mu_{D,-} = 0$) by testing the hypothesis that $\beta_3 = 0$.

From the equations above, we can see that estimating the fraction of cells of each type, $\pi_i$ allows us to explicitly find locations with brain-region differences specific to NeuN+ or NeuN- cells.

Naive models are biased

In general, $\pi_i$ is unknown and therefore not included in the linear model, that is, the model

$$E(Y_i) = \alpha_0 + \alpha_1 X_i$$

is fitted. However, this model does not account for all the sources of variation in $Y_i$, and the least squares estimate $\hat{\alpha}_1$ is a biased estimate of the difference in methylation between H and D under the null hypothesis. To see this, we can write $E(\hat{\alpha}_1) = (X'X)^{-1}X'Y$, where $X$ is the design matrix of the above model and $\hat{\alpha}_1$ is the vector $(\hat{\alpha}_0, \hat{\alpha}_1)$ and the hats represent least squares estimates. For simplicity, we assume equal numbers of samples from H and D. We then have

$$E(\hat{\alpha}_1) = \mu_{H,+} - \mu_{D,+} + (\mu_{H,-} - \mu_{D,-}) \hat{\pi}_H - (\mu_{D,-} - \mu_{D,+}) \hat{\pi}_D$$

Where $\hat{\pi}_i$ is the mean fraction of NeuN- cells in region $i$. Under the null hypothesis of no difference between D and H in either + or -, we have $\mu_{H,+} - \mu_{D,+} = 0$ and also $\mu_{H,-} - \mu_{D,-} = 0$, which gives

$$E(\hat{\alpha}_1) = \delta (\hat{\pi}_H - \hat{\pi}_D).$$

This means that where + and - have different methylation levels ($\delta \neq 0$), a difference in the fractions of + and - cells in the different brain regions can lead to false-positive signals of brain region differences in methylation.

Guindtiano et al. [20] estimate $\pi_i$ and propose an ad hoc approach to adjust for this that is approximated by fitting the following model

$$E(Y_i) = \gamma_0 + \gamma_1 X_i + \gamma_2 \pi_i$$

(M3)
However, this model does not account for all the sources of variation in $Y_i$ either and the least squares estimate $\hat{\gamma}_1$ is a biased estimate of the difference in methylation between H and D. To see this, we can write $E(\hat{\gamma}) = (X'X)^{-1}X'E(Y)$, where $X$ is the design matrix of the above model and $\hat{\gamma}$ is the vector $(\hat{\gamma}_0, \hat{\gamma}_1, \hat{\gamma}_2)$ and the hats represent least squares estimates. For simplicity, we assume equal numbers of samples from H and D. We then have

$$E(\hat{\gamma}_1) = \mu_{H,+} - \mu_{D,+} + K(\mu_{H,-} - \mu_{H,+} - (\mu_{D,-} - \mu_{D,+}))$$

Where K is a function of the $\pi_i$’s that does not depend on the sample size:

$$K = \frac{\bar{\pi}_H \left( \frac{1}{2} \bar{\pi}_H \bar{\pi} + \frac{1}{2} \bar{\pi}^2 - (\bar{\pi})^2 \right) + \frac{1}{2} \bar{\pi}_H^2 (\bar{\pi} - \bar{\pi}_H)}{\frac{1}{2} (\bar{\pi}^2 - (\bar{\pi}_H)^2) + \bar{\pi}(\bar{\pi}_H - \bar{\pi})}$$

With $\bar{\pi}$ and $\bar{\pi}_H$, the average of the $\pi_i$’s in all samples and H samples, respectively, and $\bar{\pi}^2$ and $\bar{\pi}_H^2$ the average of the $\pi_i^2$’s in all samples and H samples, respectively. Note that the bias is directly proportional to the difference between NeuN+ and NeuN- fractions, demonstrating that this approach is incapable of deconvolving these quantities of interest.

**Estimation of mixture proportions**

Although we have shown that fitting the mis-specified model, which does not include the cell-fraction terms, can lead to bias under the null hypothesis, the cell fractions for a given sample are unknown a priori. At any given methylation site, we are assuming that there is some underlying mean methylation value within each combination of cell type (+, ·) and brain region (D, H). If we know these underlying means, we can derive an estimate of the unknown cell fraction at a particular site, given an observed methylation signal and assuming the generative model above. For example, suppose sample $i$ is from D and we observe methylation signal $Y_i$ at a given locus. From Equation 1, we have

$$E(Y_i) = \mu_{D,+} + \pi_i(\mu_{D,-} - \mu_{D,+}) = \pi_i\mu_{D,-} + (1 - \pi_i)\mu_{D,+}$$

If we assume $\mu_{D,+}$ and $\mu_{D,-}$ are known, $\pi_i$ is the only unknown in this equation, so it can be estimated. Note that we do not need to constrain our estimate of $\pi_i$ to be between 0 and 1. Also, the means $\mu$ are not known, so we collected data to allow us to estimate these means, by measuring methylation in pure cell sorted + or - fractions from each brain region of interest. Given that these methylation measurements have uncertainty, we want to reduce the uncertainty in our estimate of $\pi_i$ by using many informative genomic regions. We first select a set of genomic regions where + and - methylation differs. We then find the optimal value of $\pi_i$ to explain the observed methylation for sample $i$ in these locations, as a function of our estimated means and $\pi_i$, subject to the constraint that $\pi_i$ is between 0 and 1. This procedure closely follows that presented by Houseman et al. [19].

Selection of the genomic locations can be based on a variety of factors, such as the range of observed methylation at these locations, the variance of the methylation estimates, and the length of the region of differential methylation. For our estimation, we chose the 500 genomic regions which were the strongest + vs. - DMR candidates in the brain region of interest in relation to the amount of methylation difference and the length of the region showing the methylation difference. We found that our results were quite robust to the number of regions selected, with 500 performing well.

To investigate whether it is absolutely necessary to have sorted data from a given brain region to estimate cell proportions in unsorted data from that region, we identified a set of ‘universal’ genomic regions. These universal regions had different NeuN+ and NeuN- methylation signals within a brain region, but showed consistent NeuN+ and NeuN- methylation levels across the three brain regions for which we had data (DLPFC, HF, and STG). Many of these + vs. - DMR candidates had consistent NeuN+ and NeuN- levels across brain regions, with 14% to 17% of the probes in the + vs. - DMRs belonging to genomic regions of consistent signal. We estimated the means $\mu$ in these regions of consistent signal using sorted data from DLPFC alone, and then performed cell fraction estimation in the unsorted samples from DLPFC, HF, and STG using these mean values. Since we do not know the true cell fractions in these unsorted samples, we used the estimates we had obtained for each brain region using the region-specific DMRs and mean values, as described above, as our gold standard.

All analysis was implemented in R (R Core Team, R: A Language and Environment for Statistical Computing. R Foundation for Statistical Computing: Vienna, Austria, 2012; [33]). The data discussed in this publication have been deposited in NCBI’s Gene Expression Omnibus and are accessible through GEO series accession number GSE48610.

**Effect of inaccurate mixture estimates**

As previously described, failure to account for differences in cell-mixtures in our samples can lead to biased estimates of brain-region differences under the null hypothesis of no brain region difference. However, inaccurate mixture estimates can also lead to bias. For example, consider the methylation signal in sample $i$

$$E(Y_i) = \beta_0 + \beta_1\pi_i + \beta_2X_i(1 - \pi_i) + \beta_3X_i\pi_i$$
Now suppose we have an inaccurate estimate of \( \beta_i \), called \( \beta_i^{*} \), where \( \beta_i^{*} = \beta_i + \gamma_i \). Using this inaccurate estimate gives us the following contribution to our regression formulation from sample \( i \):

\[
\begin{align*}
\beta_0 + \beta_1 \pi_i + \beta_2 \pi_i^{1- \pi_i} + \beta_3 \pi_i^{2- \pi_i} + \beta_4 \pi_i^{3- \pi_i} + \beta_5 \pi_i^{4- \pi_i} \\
= \beta_0 + \beta_1 \gamma_i + \beta_1 \pi_i + \beta_2 \pi_i^{1- \pi_i} + (\beta_3 - \beta_2) \pi_i^{1- \pi_i} - (1 - \pi_i) \gamma_i \\
= \beta_0 + \beta_1 \gamma_i + \beta_1 \pi_i^{1- \pi_i} + \beta_2 \pi_i + (\beta_3 - \beta_2) \pi_i + (\beta_1 - \beta_2) \pi_i + (\beta_2 - 1) \pi_i \\
= \beta_0 + \beta_1 \gamma_i + \beta_1 \pi_i + \beta_2 \pi_i + (\beta_3 - \beta_2) \pi_i + (\beta_1 - \beta_2) \pi_i + (\beta_2 - 1) \pi_i \\
= \beta_0 + \beta_1 \gamma_i + \beta_1 \pi_i + \beta_2 \pi_i + (\beta_3 - \beta_2) \pi_i + (\beta_1 - \beta_2) \pi_i + (\beta_2 - 1) \pi_i \\
\end{align*}
\]

where \( \gamma_i \) is between 0 and 1, and the third line follows from the fact that \( \gamma_i \) must be between \( -\pi_i \) and \( 1 - \pi_i \) to ensure that \( \pi_i^\gamma \) is between 0 and 1. We can see that the coefficient of \( X_i(1 - \pi_i) \) is no longer measuring just the quantity we are interested in (the difference between NeuN+ methylation in regions H and D), but it also has an additional factor related to the size of the estimation error, and similarly for the coefficient of \( X_i \pi_i \).

**CHARM DNA methylation analysis**

Genomic DNA was isolated from brains using the Masterpure kit from Epicentre, according to the manufacturer’s protocol. For genome-wide DNA methylation assessment, 1 ug of genomic DNA from each sample was digested, fractionated, labeled, and hybridized to a CHARM array as described [34,35] using a custom Nimblegen 2.1 million feature array assaying 5,114,655 CpG sites. We used the Bioconductor package ‘charm’ for sample preprocessing along with the package ‘bumphunter’ for DMR identification and permutation computation.

**Human postmortem brain samples**

Fluorescence-activated cell sorting was performed on frozen postmortem dorsolateral prefrontal cortex (\( n = 4 \)), and hippocampal formation (\( n = 4 \)) and superior temporal gyrus (\( n = 3 \)) from individuals not affected with neurological or psychiatric disease. To validate the statistical model, we used nine additional healthy samples from the dorsolateral prefrontal cortex. These samples underwent nuclei extraction and sorting as described below. The model was applied to additional unsorted control samples (19 samples from DLPFC, 13 samples from HF, 31 samples from STG) to deconvolve NeuN+ and NeuN- methylation signatures. All samples were obtained from the bank of the Center for Neurodegenerative Disease Research (CNDR) in the Department of Pathology and Laboratory Medicine at the University of Pennsylvania (directed by Dr John Q Trojanowski, see Additional File 1, Tables S2-4 for demographic information).

**Nuclei extraction, NeuN labeling, and sorting**

Total nuclei were extracted via sucrose gradient centrifugation as previously described [25]. A total of 250 mg of frozen tissue per sample was homogenized in 5 mL of lysis buffer (0.32M sucrose, 10 mM Tris pH 8.0, 5 mM CaCl2, 3 mM Mg acetate, 1 mM DTT, 0.1 mM EDTA, 0.1% Triton X-100) by douncing 50 times in a 40-ml dounce homogenizer. Lysate was transferred to a 15 mL ultracentrifugation tube and 9 mL of sucrose solution (1.8 M sucrose, 10 mM Tris pH 8.0, 3 mM Mg acetate, 1 mM DTT) was pipetted to the bottom of the tube. The solution was then centrifuged at 27,000 rpm for 2.5 h at 4°C (Beckman, L8-80 M; SW28.1 rotor). After centrifugation, the supernatant was removed by aspiration and the nuclei pellet was resuspended in 500 uL of PBS.

The nuclei were incubated in a staining mix (0.71% normal goat serum, 0.036% BSA, 1:1200 anti-NeuN NeuN (Millipore, MAB377), 1:1400 Alexa647 goat antibody secondary antibody (Invitrogen, 21236) for 45 min by rotating in the dark at 4°C. Unstained nuclei and nuclei stained with only secondary antibody served as negative controls. The fluorescent nuclei were run through a FACS machine with proper gate settings. A small portion of the NeuN’ and NeuN’ nuclei were re-run on the FACS machine to validate the purity. Immunonegative (NeuN-) nuclei were collected in parallel. To pellet the sorted nuclei, 2 mL of sucrose solution, 50 uL of 1 M CaCl2, and 30 uL of Mg acetate were added to 10 mL of nuclei in PBS, incubated on ice for 15 min, then centrifuged at 3,000 rpm for 20 min. The nuclei pellet was resuspended in 10 mM Tris (pH 7.5), 4 mM MgCl2, and 1 mM CaCl2. Fluorescent images were taken on a Zeiss Axio Observer. Z1 microscope with a Plan-Apochromat 100x/1.40 oil-immersion objective lens. Images were generated using an Axiocam MR3 microscope camera and Axiovision software (AxioVs40, version 4.8.2.0, Carl Zeiss, Inc). Images were processed using ImageJ.

**Additional material**

Additional file 1: Supplementary Information A PDF file containing Figures S1-4 and Tables S1-4.

**Abbreviations**

CHARM: comprehensive high-throughput arrays for relative methylation; DLPFC: dorsolateral prefrontal cortex; DMR: differentially methylated region; FACS: fluorescence-activated cell sorting; FDR: false discovery rate; HF: hippocampal formation; NeuN+: NeuN-positive fraction; NeuN¬: NeuN-negative fraction; STG: superior temporal gyrus.

**Competing interests**

The authors declare that they have no competing interests.

**Authors’ contributions**

CMM conceived of the study, designed and performed experiments, analyzed the data and developed the statistical method, and wrote the
paper. MAT conceived of the study, analyzed the data and developed the statistical method, and wrote the paper. APF conceived of the study. RAI analyzed the data and developed the statistical method. WEK designed experiments. KT selected and acquired samples. REG selected and acquired samples. All authors read and approved the final manuscript.

Acknowledgements

All samples were obtained from the bank of the Center for Neurodegenerative Disease Research (CNDRD) in the Department of Pathology and Laboratory Medicine at the University of Pennsylvania (directed by Dr. John Q. Trojanowski). This work was funded by NIH Grant U01 MH085270 to APF and CMM, Department of Defense (CDMMP) AR80125 to APF and WEK, and NIH Grant R01 GM083084 to RAI and MAT. The research reported in this publication was also supported by NIAMS Award Number P30AR053503. We would like to thank Joe Chrest for his expertise in cell sorting, Rakel Tryggvadottir for her assistance with sample hybridizations, and Romeo Papazyan for his help with fluorescence microscopy imaging.

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Received: 7 March 2013 Revised: 11 June 2013 Accepted: 30 August 2013 Published: 30 August 2013

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doi:10.1186/gb-2013-14-8-r94
Cite this article as: Montaño et al: Measuring cell-type specific differential methylation in human brain tissue. Genome Biology 2013 14:R94.