DAVID CHANDLER
15 October 1944 — 18 April 2017
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David Chandler, a major figure in statistical mechanics, spent his career at the University of Illinois Urbana-Champaign, the University of Pennsylvania and the University of California Berkeley. Starting in his graduate work, he made significant advances in many areas of statistical mechanics theory, such as the structure and thermodynamics of simple liquids and nonpolar molecular liquids, the nature of hydrophobic hydration and hydrophobic interactions in aqueous systems, chemical reaction rates, quantum processes in liquids such as electron transfer and the solvation of an excess electron in water, ‘transition path sampling’ (a method for using computer simulations to study chemical reaction rates and other dynamic processes in liquids), and the ‘dynamic facilitation’ theory of the properties of supercooled liquids and the glass transition. He received the Hildebrand Award and the Theoretical Chemistry Award from the American Chemical Society and the Irving Langmuir Chemical Physics Award from the American Physical Society. He was elected to membership in the US National Academy of Sciences and the American Academy of Arts and Sciences.

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Early life

David Chandler was born on 15 October 1944 in New York City. His father, Herbert S. Chandler, was the youngest of seven children in an Austrian Jewish immigrant family. Herbert was an autodidact and self-made businessman. He was blacklisted for association with the worker’s rights movement in the 1930s, and he credited this with compelling him to build his own businesses. While black-listed, Herbert spent countless hours at the New York Public Library studying art and befriending artists. He had a great interest in graphic arts and instilled in David a profound love of prints, particularly political art of the modernist era, which David carried with him through his life. Herbert’s influence also instilled in David a strong moral compass and an inexorable drive to succeed. Herbert founded H. S. Chandler & Co., a successful tool and dye company. This, and later business ventures, allowed him to provide a comfortable material and cultural life for his children growing up in the prosperous suburb of Great Neck on Long Island. David’s mother, Sylvia, was one of four children in a middle class Russian Jewish immigrant family. She and her sisters were all college graduates. Sylvia, too, had sophisticated tastes in the arts and expressed a keen desire for her children to excel academically.

But young David Chandler was not an academic star; indeed, he had great difficulty learning to read and exhibited several traits associated with dyslexia. Initially he focused his creative energy and self-esteem on the athletic and cultural activities that the Great Neck area provided him. He showed early athletic ability in basketball and baseball. In summer camp he was introduced to swimming, tennis and sailing, activities that he pursued with skill and enthusiasm for the rest of his life. Tennis fit in with his desire to excel in a quantifiable way, and he relished the competition with bigger and stronger players, many of whom he managed to beat through superior strategy and sheer determination.

Music was another area where his creativity could shine, and, led by an excellent teacher, he developed a great love for the piano, mastering both classical and jazz pieces and playing in a local dance band.

Despite poor grades in high school, he scored well enough on the College Board exams to be admitted in 1962 to Stevens Institute of Technology in Hoboken, New Jersey. His time at Stevens proved pivotal to his future development as a scientist. Inspired by excellent teachers in chemistry and physics, he became interested in fundamental questions in the physical sciences and began to work hard on his studies for the first time. Somewhat to his surprise, he discovered his latent talents and he excelled in chemistry, physics and mathematics. Following the advice and encouragement of his physics teacher, Jack Fajans, he applied for admission to the Massachusetts Institute of Technology (MIT) and was accepted as a second-year student in the autumn of 1963.

Undergraduate studies

At MIT, Chandler was a chemistry major, although he took almost enough physics to get a physics degree as well as a chemistry degree. He took a thermodynamics course taught by Professor Irwin Oppenheim (the graduate teaching assistant for the course was Hans Andersen, one of the authors of this memoir), and for his senior thesis he chose to work under the direction of Oppenheim. The research led to an award from the MIT chemistry department
for the best undergraduate thesis in the department that year, as well as a publication in the *Journal of Chemical Education* (1).

In his senior year, he married Elaine Ackles, an MIT undergraduate student who went on to become an accomplished physicist in her own right, eventually serving as programme manager in the Dynamics of Metals Program at Lawrence Livermore National Laboratory and then as deputy director of the HELIOS Solar Energy Research Center at Lawrence Berkeley National Laboratory. Their marriage was more than a mere love connection (figure 1); it was the launch of a life-long scientific collaboration. Elaine served as a scientific muse—daily they debated science and worked through strategies for approaching diverse scientific problems. Still finding reading and writing to be highly challenging at MIT, Chandler credited Elaine with teaching him procedures for writing clear scientific papers that he used throughout his career, enabling him to publish prolifically.

**Graduate work at Harvard**

In 1966, Chandler entered Harvard as a graduate student in the chemistry department. His adviser, Roy Gordon, gave him a great deal of freedom and independence. In his graduate research, he collaborated with Hans Andersen, who at that time was a junior fellow at Harvard.
The result of their work was the ‘mode expansion’, a theory for the equilibrium properties of simple liquids and electrolyte solutions (2, 3). While Chandler was at Harvard, Elaine finished her bachelor and master’s degrees in physics and gave birth to their two daughters, Phoebe and Cynthia.

**Postdoctoral research at UC San Diego**

In September 1969, Chandler and several other new postdocs (including John Weeks, one of the authors of this memoir) joined the group of Kurt Shuler at the new campus of the University of California San Diego. UC San Diego provided an exciting scientific environment in statistical and quantum physics, with distinguished faculty members like Joe Mayer, Bruno Zimm and Walter Kohn readily available for discussions. Shuler gave his strong group lots of freedom in their choice of research topics. This suited Chandler especially well. He and Weeks often went to meetings in the Mayer group and spent most of their time in increasingly animated discussions about theories for the structure and thermodynamics of dense atomic liquids at equilibrium. Indeed, such was the volume and duration of their discourse that the other postdocs successfully petitioned Shuler to move Chandler and Weeks from the shared postdoc space to a smaller and more soundproofed room far down the hall.

Thermodynamic perturbation theories of dense atomic liquids developed by Zwanzig, Barker, Henderson and others were based on a separation of the interatomic pair potential into two parts, \( u_0 \) and \( u_1 \). The \( u_0 \) part was either a hard sphere potential or a continuous but highly repulsive short-ranged potential, and this part is used to define a reference system. The free energy difference between the full Lennard–Jones (LJ) fluid and the reference system is expressed as an infinite series in powers of \( u_1/k_BT \). The exact first order term ignores all effects of the \( u_1 \) tail on the fluid structure.

Chandler and Weeks tried to relate such theories to the simple physical picture used by Ben Widom to explain the success of the van der Waals equation for dense atomic liquids near the triple point (Widom 1967). Andersen had just joined the chemistry faculty at Stanford and in several visits to UC San Diego, which initially focused on the mode expansion, he became an active participant in the discussions (figure 2). Widom had argued that the many longer-range attractive forces exerted on an atom by the other atoms in a uniform simple liquid nearly cancel one another in typical configurations. The average particle arrangements (i.e. the liquid structure) should then primarily be determined by the harshly repulsive short-ranged interactions in the potential.

When combined with the general perturbation expansion, this suggests that especially accurate results for the total free energy for atomic liquids could be found from first order perturbation theory but only if the potential is separated in such a way that the perturbation \( u_1 \) contains all and only the (nearly cancelling) weak longer ranged forces. All the rapidly varying repulsive core forces in the full potential are then generated by the \( u_0 \) component, and these forces primarily determine the structure of the liquid at high density.

Calculations by Weeks, Chandler and Andersen (WCA) using this force-based separation were indeed much more accurate than those from earlier approaches in which the chosen \( u_1 \) contained some strong short-ranged forces as well as the longer ranged forces (4). The zeroth order radial distribution function that takes into account only the repulsive force reference potential \( u_0 \) was found to be remarkably accurate in representing the structure of the LJ...
liquid, as were the first order thermodynamic properties. The same insight proved useful in understanding many nonpolar molecular liquids that have similar forces (13).

**UNIVERSITY OF ILLINOIS**

*Structure of polyatomic fluids: RISM and the PC theory*

In 1970, Chandler joined the chemistry faculty at the University of Illinois at Urbana-Champaign. He and his students, Lawrence Lowden and C. S. Hsu, developed a novel theory for molecular correlation functions, describing the molecular shape as an arrangement of overlapping hard spheres representing molecular core regions. They generalized arguments that led to the accurate Percus–Yevick (PY) theory for pair correlation functions in hard sphere fluids (Stell 1963) and fluid mixtures to arrive at expressions for intermolecular site–site pair correlation functions for liquid nitrogen (5) and acetonitrile (8). Their reference interaction site model (RISM) theory was technically difficult and required additional approximations beyond those made by PY, but their results were physically plausible and usually gave good qualitative agreement with experiment and subsequent molecular simulations.

RISM ideas gained wide acceptance for many molecular liquids. The extension of the RISM method to polymers was developed by Chandler’s former student, Schweitzer, and Curro (Schweizer & Curro 1987), but water, the most important liquid, presented a host of new
and difficult challenges because of strong short-ranged attractive hydrogen bond interactions that play a key role in determining the network structure of the liquid. However, Chandler was undaunted. In 1977, he and his student Lawrence Pratt developed the Pratt–Chandler (PC) microscopic theory for the structural and thermodynamic properties of an infinitely dilute solution of hydrophobic solutes in water, focusing first on atomic solutes, and then extending those ideas to molecular solutes such as ethane and other n-alkanes (6).

A key physical idea in the PC theory was that correlations and fluctuations determined from the experimental water–oxygen correlation function can give information about the energetics of cavity formation needed to describe the hydration of small solutes that repel water molecules, and that more general cavity distribution functions can describe solvation properties of apolar RISM-type molecular solutes. Initially, this idea was met with considerable scepticism because hydrogen bond correlations are only implicitly accounted for, but more recent work based on Gaussian fluctuation theory has confirmed and extended the validity of this basic insight (Hummer et al. 1996).

Detailed predictions of the PC theory are mostly of historical interest now, since it is difficult to quantitatively assess errors introduced by the use of experimental data and RISM-based approximations. That said, it was conceptually very important—representing the first plausible microscopic theory to discuss both hydrophobic hydration and association. Many of the physical ideas PC introduced have played a key role in modern approaches using realistic molecular models of water and better approximations for solute–solvent and solute–solute correlations, as will be discussed later.

**Isomerization and chemical reaction rates (1978–1980)**

In 1978, Chandler published a paper about unimolecular isomerization dynamics in liquids (7). This paper clarified and extended the classical statistical mechanical relationships between chemical reaction rate constants, which describe nonequilibrium behaviour, and equilibrium time correlation functions. For unimolecular chemical reactions in a condensed phase whose kinetics can be described by a macroscopic first order rate law, this paper derived and justified a microscopic formula for the rate constant that expresses it as the product of a transition state theory rate constant and a transmission coefficient. Moreover, this work clarified the meaning of transition state theory and the physical reasons for deviation of the actual rate constant from the predictions of transition state theory.

The evaluation of the rate constant using this approach focuses on a time correlation function that is called the ‘reactive flux’. The algorithm for calculating this function requires molecular dynamics simulations that are constrained to start near the transition state for the chemical reaction and that extend forward in time only for times much smaller than the inverse of the rate constant. With Bruce Berne, John Montgomery, Stephen Holmgren and Robert Rosenberg, Chandler performed the first calculations of first order chemical rate constants in condensed phases using the reaction flux method (9, 10).

This work not only enabled the use of simulations to calculate chemical reaction rates but also clarified the theoretical understanding of how the chemical reaction of a molecule in a condensed phase can be influenced by the surrounding molecules. One decade later Chandler extended these results to situations in which the microscopic dynamics is quantum mechanical. Two decades later, he returned to the problem of chemical reaction dynamics and made yet another important advance, transition path sampling, which similarly had implications for computer simulations and theoretical understanding. These will be discussed below.
Figure 3. Chandler at Illinois discussing the calculation of quantum properties using discretized path integral methods.

Quantum processes in liquids (1980–2000)

Nonperturbative approximations: In 1980, in an important paper published with Peter Wolynes, Chandler started an extended research programme on quantum processes in liquids (11) (figure 3). The papers focused on an earlier observation of Richard Feynman that the equilibrium canonical partition function of a quantum mechanical system can be expressed in terms of Feynman path integrals, and if such a path integral is discretized, the result is equivalent to an equilibrium canonical partition function of a classical mechanical system with more degrees of freedom (Feynman & Hibbs 1965). Roughly speaking, the classical system has one ring polymer for each of the quantum mechanical atomic particles.

The new observation of Chandler and Wolynes was that analytic methods developed by Chandler and co-workers (see above) to calculate the structure of classical polyatomic fluids could be applied to the evaluation of discretized path integrals, thereby providing ways of generating nonperturbative approximations for the quantum properties of macroscopic systems. Chandler applied this approach to the theory of electronic polarization in liquids (12, 14) and the theory of excess electrons in liquids (15).

Electron transfer in liquids: Chandler also used discretized path integral methods to perform classical Monte Carlo simulations of systems in which a single quantum mechanical electron interacts with a classical liquid. With Michiel Sprik and Michael Klein, he developed an algorithm that improved the efficiency of calculations of this type (16).
In subsequent research, which also included Robert Kuharski, Joel Bader and Roger Impey, they developed a realistic model for aqueous ferrous–ferric electron transfer in water that could be studied by discretized path integral Monte Carlo methods (18). In so doing, they extended classical statistical mechanical techniques into the study of electron transfer reactions in liquids. This simple, carefully constructed model had enough of the right physics built in so that two of the results calculated for this model were in remarkably good agreement with experiment.

As discussed in the original papers, this work is confirmation of the hypothesis that this ferrous–ferric electron transfer system is well described by a spin-boson model, in which a two-state system is linearly coupled to a harmonic bath. This model underlies the classic Marcus theory of electron transfer (Marcus 1964), and several of the predictions of Marcus theory were found to hold in this model. Rudy Marcus mentioned this in his Nobel Lecture.

 PENNSYLVANIA AND BERKELEY

In 1983, Chandler accepted a long-standing offer from the chemistry department at the University of Pennsylvania. While at Pennsylvania, he took time to document his unique approaches to teaching and understanding statistical mechanics, resulting in his textbook, Introduction to modern statistical mechanics (17).

Chandler’s approach to science and teaching was often unorthodox, reflecting the way learning disabilities hindered how he pictured and understood new ideas. He created detailed lecture notes, incorporating visual cues, to convey information both to himself and his students. He decided to make it his mission to create a textbook that could concisely and affordably offer his alternative view on science. His resulting ‘little green book’ is appreciated by students and specialists alike for its novelty and pedagogy and is considered a must-read text in the field. The chapters on phase transitions, renormalization group and nonequilibrium theory describe the central concepts clearly without recourse to advanced mathematics.

In 1986, Chandler moved to the chemistry department at the University of California Berkeley, where he would, despite his professional success, wonder at events that allowed a child who was so vastly underestimated to grow to work alongside colleagues he considered the best scientists in the world. His insecurities and sheer determination to conquer his own learning challenges drove him to push himself, his students, his peers and his family to constantly do better and take on increasingly challenging work. Rest was unimaginable in his work ethic; problems were best tackled from their most complex roots; no success was grand enough if questions still remained to be solved. Often viewed as irreverent by elders in his field, he courageously pushed the scientific community to embrace change quickly. At Berkeley, Chandler formed unfaltering loyalty to his most respected colleagues, whom he respected first and foremost for their dedication to scientific discovery.

In 1995, Chandler was elected to the National Academy of Sciences and the American Academy of Arts and Sciences. In 1996, he was diagnosed with advanced, aggressive prostate cancer like that which had caused his father to die at a young age. He underwent surgery and radiation treatment, which slowed the progress of the disease. In 1998, he underwent surgery for heart disease, and in 2000, the cancer started to grow again. For the subsequent 17 years, he endured treatments that sapped his energy and made it difficult to lead a normal life for
extended periods of time; but, characteristically, he was undeterred. Chandler viewed his time after diagnosis of cancer as providing him a second life, during which he carried out research that he regarded as his most significant, some of which is described below.

ENSEMBLES OF TRAJECTORIES AND TRANSITION PATH SAMPLING (1998–2013)

Between 1998 and 2002, Chandler and several students and co-workers constructed a nontrivial and useful generalization of the basic statistical mechanical idea of an equilibrium ensemble. The work was motivated by the desire to formulate a theoretical description of nonequilibrium experiments in which chemical reactions and structural rearrangements take place in a material system. During such an experiment, the phase point of an experimental system moves along an unknown trajectory in phase space. The set of all possible trajectories can be regarded as a ‘trajectory space’. It is then useful to consider the trajectory for a material system as a random variable and to construct probability distributions of trajectories in this trajectory space. The result is an ‘ensemble of trajectories’.

The Chandler group showed how to define and make reasonable postulates about the probability distribution of trajectories in trajectory space that correspond to particular chemical or structural reactions. Moreover, they developed practical algorithms for sampling trajectories from such distributions using generalizations of the Monte Carlo methods commonly used to sample from a canonical probability distribution of mechanical states in configuration space. These methods are referred to as ‘transition path sampling’. An important feature of this formalism is that the transition state (or states) for a reaction need not be characterized in advance in order to calculate the rate constant of the reaction. Moreover, the trajectories that are required to calculate the rate constant can be much shorter than the macroscopic chemical relaxation time for the reaction. Transition path sampling has been applied to calculate the rates of many kinetic processes (20).

DYNAMIC FACILITATION THEORY AND THE GLASS TRANSITION (2002–2016)

Many liquid substances, if cooled well below their freezing point, will become noncrystalline solids (glasses) in a phenomenon called the glass transition. As a liquid is cooled toward this transition and then through it, its viscosity becomes greater, deviating from the usual Stokes–Einstein relation, and structural relaxation of the liquid becomes much slower, typically by more than 10 orders of magnitude. The structural relaxation also exhibits dynamic heterogeneity in which molecules in some regions of the liquid change their positions much faster than in other regions a few nanometers away. There appear to be two different modes of structural relaxation in glass-forming liquids, leading to the categorization of some liquids as ‘strong’ glass formers and some as ‘fragile’ glass formers. Several theories of the glass transition have been proposed, but there is no general consensus about which of these theories is correct and which provides the most useful way of understanding the phenomenon.

In 2002, Chandler and Juan Garrahan began a research programme that led to what has been called the dynamical facilitation theory of the glass transition. The basic idea of the theory is that at very low temperatures, the relaxation of a supercooled liquid toward equilibrium consists of local structural changes that are facilitated by local positive fluctuations in the
energy density. They demonstrated that certain members of a class of simple kinetic lattice models (Fredrickson & Anderson 1985), now called kinetically constrained models (KCMs), exhibit the same behaviours as those exhibited by supercooled liquids (as described above). Their work started with the study of such KCMs (21–23). For models of fragile glass formers, they derived a corresponding states principle that well describes experimental data for 58 glass-forming liquids (25).

A collaboration of Chandler and Garrahan with Aaron Keys, Lester Hedges and Sharon Glotzer studied the behaviour of molecular dynamics models of five different two-component atomic liquids at supercooled temperatures (26). They identified excitations in these liquids that played the same role as the structural excitations that facilitate relaxation in the KCMs. The overall similarity of the dynamics in the lattice models and the atomic liquids was striking, and the temperature-dependent structural relaxation times for the atomic liquids agreed well with the corresponding states principle mentioned above.

These and other results suggest that the dynamic facilitation theory, or an extension of it, has the possibility of becoming the long-sought basis for understanding the glass transition.

Length Scale Dependence of Hydrophobic Interactions and Hydrophobic Assembly (1998–2015)

A major limitation of the PC theory of hydrophobicity arose from its use of the experimental oxygen–oxygen correlation function in liquid water to estimate the probability of forming larger cavities that could accommodate the repulsive cores of solutes. While appropriate for the small noble gas solutes originally considered by PC, this picture of small Gaussian fluctuations must fail for sufficiently large solutes or near a hard wall. In such situations, hydrogen bonds involving water molecules near the solute must be broken.

In the mid 1990s, the Weeks group had begun development of a systematic approach called Local Molecular Field (LMF) theory that accurately accounted for the effects of unbalanced attractive forces on the structure of an LJ fluid near repulsive core solutes of varying size (Weeks et al. 1998). Chandler and his student Ka Lum realized that similar ideas might apply to hydrophobic solvation in water (figure 4), and they set up a sabbatical visit by Weeks to Berkeley in the autumn of 1998. Lum, Chandler and Weeks (LCW) developed an LMF-based mean field theory that predicted a transition in the interface structure of water around hydrophobic solutes as a function of the solute core size (19). Bulk-like hydrogen bonds with reduced fluctuations can be maintained around small solutes, but some hydrogen bonds must be broken around a large solute, leading to the formation of a fluctuating interface, whose position depends sensitively on the attractive force balance. The semi-empirical LCW theory used the liquid–vapour surface tension of water as input and predicted that the crossover occurs for core sizes on a nanometer length scale. The solvation free energy naturally scales linearly with solute volume for smaller solutes but is predicted to scale linearly with solute area after interface formation.

Large primarily hydrophobic regions with a high concentration of small apolar units can also arise from conformational changes in biopolymers and can similarly induce local interface formation. LCW argued that this process could play a key role in generating the large driving forces needed to stabilize protein assemblies and protein folding. Chandler and co-workers developed this idea much further in later work (24), and he viewed this
connection between hydrophobic interactions, interface formation on larger length scales and hydrophobic assembly as one of his most important research accomplishments.

**IMPACT ON FUTURE GENERATIONS**

Chandler had a deep and broad impact on younger generations of scientists. This impact extends far beyond his former students and postdocs, many of whom hold positions at outstanding institutions throughout the world.

One illustration of Chandler’s impact on younger scientists is provided by his influence during the development of the Crooks fluctuation theorem (Crooks 1999) and its precursor, the Jarzynski equality (Jarzynski 1997). This development, one of the most important advances in nonequilibrium theory in nearly a century, took place in the late 1990s, at the same time Chandler and his students were creating transition path sampling (TPS), as discussed above. There are historical and intellectual links between these developments.

Prior to the publication of his now-famous equality, Chris Jarzynski and Chandler corresponded about Jarzynski’s new result. Chandler was sceptical, but found the correspondence intriguing, enough so that he invited Jarzynski to give a Chandler-group seminar at Berkeley. Those seminars were famously interactive, with much give and take between the speakers and the audience. Jarzynski’s presentation at that forum went over very well, though Chandler remained concerned that this new equality described special cases only and could not be generalized.
In the aftermath, one of Chandler’s students, Gavin Crooks, began studying the preprint that Jarzynski left behind. As a member of the Chandler group during that time, Crooks had been extensively exposed to the idea of trajectories as fundamental objects, and that exposure, as Crooks recently reminded one of us, was the key to his thinking about Jarzynski’s result in terms of the relative probabilities of forward and reverse trajectories. That thinking led Crooks to what is now known as the Crooks fluctuation theorem. The Jarzynski Equality is a corollary to the theorem. These two results are deep and significant consequences of classical statistical mechanics that apply far from equilibrium on microscopic time and length scales. On seeing Crooks’ work, Chandler understood his prior concerns were completely resolved; moreover, he was witnessing a fundamental advance in science. But unlike many senior scientists, he encouraged his protégé to publish his theorem on his own. It was also Chandler who introduced his Berkeley colleague, Carlos Bustamante, to these ideas, resulting in experimental tests (Collin et al. 2005) and uses of the Jarzynski equality and the Crooks fluctuation theorem. This history illustrates Chandler’s generous, motivational and behind-the-scenes activities furthering science and the professional reputations of worthy young scientists.

The second illustration is developments in immunology made over the past two decades by one of us (AKC). As is well known and noted above, Chandler’s scientific work has been characterized by a combination of computer simulations and deep analytical theory, the latter necessary for rigor and often key to what makes the simulations possible and meaningful. Furthermore, typically, Chandler’s insights have sparked new experiments. AKC’s studies in immunology and virology using statistical mechanical approaches, and its impact on experimental and clinical investigations, could not have happened without adopting Chandler’s style of research. He learned this style by watching Chandler work and teach when he was a junior faculty member at Berkeley. Chandler made this sort of impact on many younger scientists. At a 2014 symposium at MIT in honour of his seventieth birthday, nearly every one of the 24 speakers reiterated that their emulation of Chandler’s style was a key to their success.

In 2000, Chandler started a series of meetings focused on statistical mechanics, which take place every January in Berkeley. These so-called ‘Mini Stat Mech’ meetings continue today as one of the key gatherings of scientists in the field.

Finally, no testament to Chandler’s impact on younger scientists can be complete without mentioning his impact on his daughters, Phoebe and Cynthia. Chandler provided his children with much inspiration to believe that, like him, they could accomplish anything they set their minds to do, as long as they were brave, competitive and determined. They joke that he provided them much freedom to dream up unorthodox careers, following their passions, as long as they were ‘the best’ at whatever they did. Phoebe went on to become a middle school math and science teacher before transitioning to becoming an automotive technician and shop owner of an all-female, green garage. Cynthia followed Chandler’s tradition of irreverence and challenging institutionalized modes of thinking by becoming a civil and human rights activist attorney, challenging the human cost of mass imprisonment. They both cherish his influence.

In 2017, Chandler died of prostate cancer in his home after a short period of hospice care. He lived his life with passion and intensity. Science was a major passion. His family and his friendships were extremely important to him, and he was devoted to both. His tennis was very competitive and not merely recreational. He fought prostate cancer for two decades with his
intelligence and his determination, while making very significant contributions to the field of statistical mechanics.

His one regret was not finishing papers and research he had started. His confidence in the talents of his students and colleagues allowed him peace, knowing his work would be completed and improved upon.

Chandler’s intensity, brilliance and courage will be missed. His friends, students and co-workers have endowed an annual Chandler Lecture at Berkeley to celebrate his memory.

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