We present predictions for the galaxy–galaxy lensing (GGL) profile from the EAGLE hydrodynamical cosmological simulation at redshift $z = 0.18$, in the spatial range $0.02 < R/(h^{-1} \text{Mpc}) < 2$, and for five logarithmically equispaced stellar mass bins in the range $10.3 < \log_{10}(M_{\text{star}}/M_{\odot}) < 11.8$. We compare these excess surface density profiles to the observed signal from background galaxies imaged by the Kilo Degree Survey around spectroscopically confirmed foreground galaxies from the Galaxy And Mass Assembly (GAMA) survey. Exploiting the GAMA galaxy group catalogue, the profiles of central and satellite galaxies are computed separately for groups with at least five members to minimize contamination. EAGLE predictions are in broad agreement with the observed profiles for both central and satellite galaxies, although the signal is underestimated at $R \approx 0.5–2 \ h^{-1} \text{Mpc}$ for the highest stellar mass bins. When central and satellite galaxies are considered simultaneously, agreement is found only when the selection function of lens galaxies is taken into account in detail. Specifically, in the case of GAMA galaxies, it is crucial to account for the variation of the fraction of satellite galaxies in bins of stellar mass induced by the flux-limited nature of the survey. We report the inferred stellar-to-halo mass relation and we find good agreement with recent published results. We note how the precision of the GGL profiles in the simulation holds the potential to constrain fine-grained aspects of the galaxy-dark matter connection.

**Key words:** gravitational lensing: weak – methods: statistical – galaxies: formation – galaxies: haloes – large-scale structure of Universe – cosmology: theory.

1 INTRODUCTION

The connection between observable galaxy properties and the underlying (mostly dark) matter density field is the result of galaxy formation and evolution in a cosmological context; as such, it is extensively studied from various complementary perspectives. Numerous methods are available to probe the mass of dark matter haloes within the galaxy formation framework, such as galaxy clustering (see e.g. Jing, Mo & Börner 1998; Peacock & Smith 2000; Zehavi et al. 2002; van den Bosch, Yang & Mo 2003; Anderson et al. 2014), abundance matching (see e.g. Vale & Ostriker 2004; Moster, Naab & White 2013; Behroozi, Wechsler & Conroy 2013) and stacked satellite kinematics (see e.g. Zaritsky & White 1994; Prada et al. 2003; Conroy et al. 2005; More et al. 2011). These methods require, in various ways, prior knowledge of galaxy formation theory. They are therefore limited in their capacity to produce a stellar mass versus halo mass relation that can serve as a test for the galaxy formation framework itself.
For single galaxies, direct methods for estimating the halo mass are available (see for a recent review Courteau et al. 2014). The rotation curves of spiral galaxies or the velocity dispersions of ellipticals can give estimates of the amount of matter associated with a galaxy, albeit at relatively small scales. Furthermore, a galaxy can deflect the light of a background galaxy along the line of sight, possibly into multiple images, providing a measurement of the total projected mass within the Einstein radii of galaxies (Kochanek 1991; Bolton et al. 2008; Collett 2015, and references therein). The mass of a single group or cluster of galaxies can be estimated via the dynamics of its satellite galaxies (see e.g. Prada et al. 2003; Conroy et al. 2005), using weak or strong lensing (see e.g. Fort & Mellier 1994; Massey, Kitching & Richard 2010; Hoekstra et al. 2015) or X-ray emission (Ettori et al. 2013, and references therein).

For a population of galaxies, galaxy–galaxy weak lensing (see e.g. Brainerd, Blandford & Smail 1996; Wilson et al. 2001; Hoekstra, Yee & Gladders 2004; Mandelbaum et al. 2006; van Uitert et al. 2011; Velander et al. 2014; Leauthaud et al. 2015; van Uitert et al. 2015; Viola et al. 2015; Mandelbaum et al. 2016) offers the possibility to measure the average halo mass directly and therefore represents a viable alternative to constrain the galaxy-dark matter connection and ultimately test galaxy formation models. Galaxy–galaxy lensing (GGL) measures the distortion and magnification of the light of faint background galaxies (sources) caused by the deflection of light rays by intervening matter along the line of sight (lenses). The effect is independent of the dynamical state of the lens, and the projected mass of the lens is measured without any assumption about the physical state of the matter. The gravitational lensing signal due to a single galaxy is too weak to be detected (it is typically 10 to 100 times smaller than the intrinsic ellipticity of galaxies) given the typical number density of background sources in wide-field surveys. Therefore the GGL signal must be averaged over many lenses.

From a more theoretical perspective, the link between haloes and galaxies can be studied with an ab initio approach using semi-analytical models and hydrodynamical cosmological simulations. Simulations aim to directly model the physical processes that are thought to be important for the formation of galaxies, as well as the energetic feedback from supernovae and active galactic nuclei (AGN) that is thought to regulate their growth (see Somerville & Davé 2015, for a recent review). However, many of these processes are happening on scales that are unresolved by simulations and as such they must be treated as ‘subgrid’ physics. To gain confidence in these physical recipes, it thus becomes crucial to compare predictions of these models to various observations. Arguably, a key test for such studies is to reproduce the observed abundances of galaxies as a function of their stellar mass (galaxy stellar mass function; hereafter GSMF), as this is interpreted as the achievement of a successful mapping between the stellar mass and the halo mass. Intriguingly, reproducing a basic quantity such as the GSMF has proven to be extremely challenging for models of galaxy formation. To overcome this limitation, one might reverse the logic and calibrate the unresolved physical processes to reproduce the (present-day) GSMF. This approach, exploited at length in semi-analytical models, has recently been adopted in hydro-simulations as well (see e.g. the EAGLE and the BAHAMAS project, Crain et al. 2015; Schaye et al. 2015; McCarthy et al. 2017).

In this paper, we compute the predicted weak GGL profiles of galaxies from the EAGLE hydrodynamical simulation sampled according to their stellar mass. These predictions are compared with the observed signal measured using background galaxies imaged by the Kilo Degree Survey (KiDS; de Jong et al. 2015) around spectroscopically confirmed foreground galaxies from the Galaxy And Mass Assembly (GAMA) survey (Driver et al. 2011). We refer to this combined data set as KiDSxGAMA. This comparison represents an independent test of the validity of the physical processes implemented in the EAGLE simulation, as they were calibrated to reproduce the GSMF as well as the observed distribution of galaxy sizes but not the lensing profiles. As explained in the main body of the paper and in Appendix A, a comparison of the GGL profiles offers the possibility to test fine-grained aspects of the galaxy-dark matter connection.

This paper is organized as follows. In Section 2, we briefly introduce the data sets and describe the methodology to obtain the GGL measurements. In Section 3, we describe the EAGLE simulation employed in this study, the algorithm used to produce the group catalogue from simulations (Section 3.1) and the steps taken to measure the GGL signal in the simulations (Section 3.2). In Section 4, we report the results for the GGL signal from simulations and the comparison with KiDSxGAMA data for central (Section 4.1) and satellites galaxies (Section 4.2). In Section 4.3, we compare the GGL profile for the whole galaxy population against the KiDSxGAMA observations. We discuss limitations and possible future improvements of this study in Section 5, summarize our findings and conclude in Section 6. We fit the GGL profiles from the EAGLE simulation with simple analytical models in Appendix A.

Throughout the paper we assume a Λ cold dark matter (ΛCDM) cosmological model defined by the following set of parameters \{Ω_m, Ω_b, σ_8, n_s, h \equiv H_0/100 \} = \{0.307, 0.04825, 0.8288, 0.9611, 0.6777\} (motivated by the initial results from the Planck mission; Planck Collaboration XVI 2014), as this was the cosmology assumed for the EAGLE run. We decided to maintain the explicit dependence on h when plotting the GGL profiles to ease the comparison with other published results.

2 DATA

The observational data presented in this paper are obtained from two surveys: KiDS and GAMA. KiDS is an ESO optical imaging survey (de Jong et al. 2013) with the OmegaCAM wide-field imager on the VLT Survey Telescope. When completed, it will cover a total area of 1500 deg\(^2\) in four bands (u, g, r, i). KiDS was designed to have both good galaxy shape measurements and photometric redshift estimates of (background) galaxies. Here, we use the latest KiDS-ESO data release which is described in Hildebrandt et al. (2017). Details of the survey can be found in de Jong et al. (2015).

KiDS overlaps with the GAMA spectroscopic survey (Driver et al. 2011) carried out using the AAOmega multi-object spectrograph on the Anglo-Australian Telescope. GAMA equatorial fields are 98 per cent complete down to a r-band magnitude of 19.8, and cover approximately 180 deg\(^2\) of sky that fully overlap with the KiDS footprint. The redshift distribution of GAMA galaxies (median redshift \(z \approx 0.25\)) is ideal for measurements of the GGL signal using KiDS galaxies as background sources (median redshift \(z \approx 0.7\)).

GAMA spectroscopy allows reliable identification of galaxy groups (Robotham et al. 2011), which in turn permits a separation between central and satellite galaxies. This distinction will be used extensively throughout the paper.

2.1 Lensing analysis

A detailed description of how the GGL signal around GAMA galaxies using KiDSxGAMA data is computed can be found in Viola
et al. (2015) and Dvornik et al. (2017). Here, we only summarize the important aspects that enter into the measurement.

Shape measurements are based on the $r$-band exposures which yield the highest image quality in KiDS. Images are processed with the THELI pipeline (optimized for lensing applications, Erben et al. 2005, 2009, 2013), and galaxy ellipticities are computed using the LENSFIT code (Miller et al. 2007; Kitching et al. 2008; Miller et al. 2013). Shape measurements are calibrated against extensive image simulations (Fenech Conti et al. 2017). Biases from non-perfect point spread function modelling, are quantified and found subdominant as detailed in Kuijken et al. (2015).

For every lens-source pair, the measured ellipticity $(e_1, e_2)$ of the source, as estimated by LENSFIT, is projected along the separation of the lens in a tangential $(e_+)$ and cross $(e_\times)$ component as
\[
\begin{pmatrix}
e_+ \\
e_\times
\end{pmatrix} = \begin{pmatrix}
-\cos(2\phi) & -\sin(2\phi) \\
\sin(2\phi) & -\cos(2\phi)
\end{pmatrix} \begin{pmatrix}e_1 \\
e_2
\end{pmatrix},
\]
where $\phi$ is the angle between the $x$-axis and the lens-source separation vector. Every source lens pair is then weighted by the term:
\[
\tilde{w}_h = w_s \frac{\langle \Sigma_{crit}\rangle_h^2}{\tilde{w}_{ls}},
\]
which is the product of the LENSFIT weight $w_s$, computed according to the estimated reliability of the measured source ellipticity (Miller et al. 2007), and a term $\langle \Sigma_{crit}\rangle_h^2$ defined via
\[
\langle \Sigma_{crit}\rangle_h^2 = \frac{4\pi G}{c^2} D_l(z_h) \int_{z_1+\Delta z}^{\infty} \frac{D_h(z_1, z_s)}{D_l(z_h)} \delta(z_s)dz_s,
\]
where $D_l$ is the angular diameter distance of the lens calculated using the spectroscopic redshift $z_l$, $D_h$ is the angular diameter distance of the source, and we have used $\Delta z = 0.2$ to minimize contamination by lenses (see Dvornik et al. 2017). Here, $n(z_s)$ is the redshift distribution of the background galaxy population, and $D_h$ is the distance between the lens and the source. We emphasize here that $n(z_s)$ is the global redshift distribution of the KiDS galaxies estimated using the direct calibration method described in Hildebrandt et al. (2017).

The GGL signal, also known as the excess surface density, ESD, is computed in bins of projected distance $R$:
\[
\Delta \Sigma(R) = \gamma(R) \langle \Sigma_{crit}\rangle_h = \frac{\langle \sum_h \tilde{w}_h \eta_+ \langle \Sigma_{crit}\rangle_h \rangle}{\sum_h \tilde{w}_h} \frac{1}{1 + K(R)},
\]
where $\langle \Sigma_{crit}\rangle_h \equiv 1/\langle \Sigma_{crit}\rangle_h$. Here, the sum is over all lens-source pairs in the radial bin, and
\[
K(R) = \frac{\sum_h \#_s m_s}{\sum_h \#_l \tilde{w}_h}
\]
is the correction to the ESD profile that takes into account the multiplicative bias $\#_s$, with $\#_s = D_s/D_l$. Typically, the value of $m_s$ is around $-0.012$ which results in a $1/(1 + K(R))$ correction of $\sim 1.01$ (Fenech Conti et al. 2017, Dvornik et al. 2017).

The error on the ESD measurement is estimated by
\[
\sigma_{\Delta \Sigma}^2 = \sigma_{\Sigma_{crit}}^2 \left( \frac{\langle \sum_h \tilde{w}_h \eta_+ \langle \Sigma_{crit}\rangle_h \rangle}{\sum_h \tilde{w}_h} \right)^2,
\]
where $\sigma_{\Sigma_{crit}}^2$ is the variance of all source ellipticities combined. We note here that, from analytical and numerical estimates of the covariance matrix, we find the covariance between radial bins negligible on the scales of interest here.

GGL offers a direct measure of the projected mass density:
\[
\Delta \Sigma(R) \equiv \Sigma(<R) - \Sigma(R),
\]
where $\Delta \Sigma$ is the difference between the surface density averaged within $R$, $\Sigma(<R)$, and measured at $R$, $\Sigma(R)$.

### 2.2 The lens sample

In this work, we make use of the group catalogue of the GAMA survey (G3Cv7, Robotham et al. 2011) and version 16 of the stellar mass catalogue, which contains approximately 180,000 objects, divided into three separate $12 \times 5$ deg$^2$ patches (Liske et al. 2015) that completely overlap with the northern stripe of KiDS. The G3Cv7 group catalogue is based on a friends-of-friends (FoF) algorithm, which links galaxies based on their projected and line-of-sight distance. Groups are therefore identified using spatial and spectroscopic redshift information (Robotham et al. 2011). The linking length used by the group finder has been calibrated using mock data (Robotham et al. 2011; Merson et al. 2013) from the Millennium dark matter simulation (Springel et al. 2005) populated using the semi-analytical model of galaxy formation described in Bower et al. (2006). The FoF algorithm used in the Millennium simulation employs a particle linking length of $b = 0.2$ times the mean interparticle distance. The GAMA group catalogue has been tested against mock data and ensures reliable central-satellite distinction against interlopers for groups with five or more members ($N_{sat} \geq 5$) above the completeness limit of GAMA of approximately $\log_{10}(M_{star}/M_\odot) = 8$ (Robotham et al. 2011). Throughout the paper the GGL signal is only computed for galaxies in groups with five or more members.

GAMA is a flux-limited survey. This results in an increasingly higher minimum luminosity or stellar mass at higher redshifts. This selection function can in principle be mimicked starting from a simulation box and constructing a GAMA-like box. Alternatively, one could restrict the observational analysis to those GAMA galaxies that would be present in a volume (rather than flux) limited sample but this approach would have the shortcoming that a large number of lenses would be discarded and the resulting $\Delta \Sigma$ profiles would have a significantly lower signal-to-noise ratio. We opt for the construction of a (nearly) volume-limited lens sample following a similar iterative methodology as the one described in Lange et al. (2015). For each galaxy, we calculate the maximum redshift ($z_{max}$) to which this object could be detected given its best-fitting spectral template and an apparent $r$-band Petrosian magnitude of $19.8$ mag, the limiting magnitude of GAMA. We then iteratively define the redshift limit for a nearly volume-limited sample as a function of stellar mass $z_{lim}(M_{star})$ by requiring that 90 per cent of galaxies, over small logarithmic stellar mass bins, must have $z_{max} > z_{lim}(M_{star})$. From this sample, we select only galaxies that reside in groups with at least five members. The impact on the lensing profile using a strictly volume limited sample or a nearly volume limited sample has been investigated in van Uitert et al. (2016) using the same GAMA galaxies. They concluded that, given the error bars,

---

1 We note that stellar masses of GAMA galaxies have been estimated in Taylor et al. (2011). In short, stellar population synthesis models from Bruzual & Charlot (2003) that assume a Chabrier (2003) IMF are fit to the $ugriz$-photometry from SDSS. NIR photometry from VIKING is used when the rest-frame wavelength is less than 11 000 Å.

2 The EAGLE simulation catalogue used throughout this paper uses the same value of the linking length (see Section 3.1).
there were no systematic differences between the two signals in any stellar mass bin.

Fig. 1 shows the stellar mass-redshift plane for the GAMA galaxies (grey points) in the area overlapping with KiDS. Black and coloured points show which of those GAMA galaxies are in the (nearly) volume-limited sample (see Section 2.2) and in groups with at least five members. Points are coloured according to the stellar mass bin they belong to (see column 1 of Table 1).

3 SIMULATIONS

We compare the observed ESD profile to the predictions from the hydrodynamical cosmological simulations from the EAGLE project (Crain et al. 2015; Schaye et al. 2015) with a cubic volume of 1003 Mpc3. EAGLE was run using a modified version of the N-Body Tree-PM smoothed particle hydrodynamics (SPH) code GADGET-3, which was last described in Springel (2005). The main modifications with respect to GADGET-3 regard the formulation of the hydrodynamics, the time stepping and the subgrid physics. Dark matter and baryons are represented by 2 × 1504 particles, with an initial particle mass of mpc = 1.2 × 10^7 M⊙ and mbaryon = 9.75 × 10^5 M⊙ for baryons and dark matter, respectively. EAGLE was run using the set of cosmological values suggested by the initial results from the Planck mission {Ωm, Ωb, σ8, n, h} = {0.307, 0.04825, 0.8288, 0.9611, 0.6777} (table 9; Planck Collaboration XVI 2014).

EAGLE includes element-by-element radiative cooling (for 11 elements; Wiersma, Schaye & Smith 2009a), pressure and metallicity-dependent star formation (Schaye 2004; Schaye & Dalla Vecchia 2008), with a Chabrier (2003) initial mass function (IMF), stellar mass-loss (Wiersma et al. 2009b), thermal energy feedback from star formation (Dalla Vecchia & Schaye 2012), angular momentum dependent gas accretion on to supermassive black holes (Rosas-Guevara et al. 2015) and AGN feedback (Booth & Schaye 2009; Schaye et al. 2015). The subgrid feedback parameters were calibrated to reproduce the present-day observed GSMF as well as the observed distribution of galaxy sizes (Schaye et al. 2015). More information regarding the technical implementation of hydrodynamical aspects as well as subgrid physics can be found in Schaye et al. (2015).

### Table 1

| Mass range [Mpc^-3] | M^crit_{cen}| M^crit_{sub} | M^cen | M^sub | M_{halo}^cen | M_{halo}^sub | d_{halo} | r_{dm} | N_{gal} | M^limit | \textit{J}_{sat} |
|---------------------|-------------|-------------|-------|-------|-------------|-------------|---------|-------|-------|---------|-----------------|
| (1)                 | (2)         | (3)         | (4)   | (5)   | (6)         | (7)         | (8)     | (9)   | (10)  | (11)    | (12)            |
| 10.3–10.6           | 12.46       | 13.95       | 12.47 | 11.57 | 0.03        | 881         | 144     | 28    | 354   | 9       | 4.96            |
| 10.6–10.9           | 12.92       | 14.09       | 12.92 | 11.95 | 0.03        | 1081        | 239     | 44    | 150   | 9       | 9.91            |
| 10.9–11.2           | 13.13       | 14.14       | 13.15 | 12.46 | 0.11        | 1347        | 261     | 75    | 68    | 9       | 9.96            |
| 11.2–11.5           | 13.39       | 14.19       | 13.39 | 12.85 | 0.13        | 1718        | 318     | 108   | 22    | 10.33   | 0.50            |
| 11.5–11.8           | 13.69       | 14.24       | 13.69 | 13.61 | 0.30        | 2802        | 340     | 264   | 29    | 0.21    |                 |


\*Note that columns (2) and (4) have very similar values. This indicates that, in this sample, adopting a spherical overdensity threshold or a FoF algorithm to define the halo yields to comparable halo masses.

\*log_{10}(M/10^5 M⊙).

\*R/(kpc)
gravitational potential is minimum. The mass of a subhalo is the sum of the masses of all the particles that belong to that subhalo. The most massive subhalo is the central subhalo of a given FoF group and all other subhaloes are satellites.

The mass $M_{\text{crit}}^{200}$ and the radius $r_{\text{200}}^{\text{crit}}$ of the halo are assigned using a spherical overdensity algorithm centred on the minimum of the gravitational potential, such that $r_{\text{200}}^{\text{crit}}$ encompasses a region within which the mean density is 200 times the critical density of the Universe.

The group finder of EAGLE links particles in real space whereas the GAMA group finder connects members in redshift space. This difference could be particularly important if a large fraction of interlopers were wrongly assigned to groups for GAMA. However, the GAMA group finder was tested against mock catalogues and found to be robust against interlopers for groups with five or more members (Robotham et al. 2011). We defer a more detailed study of the impact of adopting exactly the same grouping algorithm to a forthcoming publication by the KiDS collaboration.

3.2 Computation of the galaxy–galaxy lensing signal in EAGLE

The GGL signal from observations measures the $\Delta \Sigma$ profile (Section 2.1). Therefore, in order to compare to the observations, we calculate the $\Delta \Sigma$ profiles from EAGLE. To do so, we project all the particles within a sphere with radius 2.95 Mpc centred on the location of the subhalo on to the $x$-$y$ plane. We divide the projected radial range into 150 bins equally spaced in log-space. At every projected radius $R$, we calculate the surface density within $R$, $\Sigma(<R)$, as the sum of the mass of all the particles within the projected radius $R$, $M(<R)$, divided by the area $A = \pi R^2$. The surface density at $R$, $\Sigma(R)$, is the mass enclosed in the annulus with inner radius $(R - \delta R/2)$ and outer radius $(R + \delta R/2)$ divided by the area $2\pi R \delta R$, where $\delta \log_{10}(R) = \log_{10}(2.95 \text{[Mpc]})/150$. We tested different choices for the shape and extent of the projection volume, as in principle, the lensing signal is affected by all the matter between the source and the lens and not only that residing within a certain distance from the lens. We verified that projecting a cylindrical section around the centre of a subhalo instead of a sphere has a negligible effect on the ESD profile at all scales of interest in this paper (from virtually null at $R < 0.7$ Mpc to a few per cent at $R \approx 2$ Mpc) but a large impact on the computation time. We thus opted for spherical regions. We also tested the impact of using different radii. Specifically, we found that using spheres of 4.43 Mpc instead of 2.95 Mpc has a negligible effect on the signal.

Subhaloes are binned according to their stellar mass, calculated as the sum over all stellar particles that belong to the subhalo. The $\Delta \Sigma$ in a given stellar mass bin is then calculated by averaging the $\Delta \Sigma$ profiles of single subhaloes. The statistical errors are calculated using bootstrapping: galaxies in each mass bin are re-sampled 1000 times and the range of values that count for the 95 per cent of the distribution is taken as the $2\sigma$ error for the ESD profiles from the simulation.

3 Although this is strictly true only to the extent to which one knows the source redshift distribution.
4 We tested that the results do not differ significantly by choosing different projections or averaging over the three of them.

5 At the time this paper was written light-cones were not available for the EAGLE simulation and hence the GAMA magnitude limit of $r_{\text{AB}} < 19.8$ could not be directly applied to the EAGLE galaxies.
bins. The black line represents the satellite fraction in EAGLE if we choose the value of $M_{\text{limit}}^{\text{star}}$ that reproduces the GAMA satellite fraction (see Table 1). With different linestyles and shades of grey we show the satellite fraction with a choice of the $M_{\text{limit}}^{\text{star}}$ of respectively $-1.5$, $-0.75$ below and $+0.25$ dex above the values that reproduce the GAMA satellite fraction. For the fiducial choice of $M_{\text{limit}}^{\text{star}}$, the satellite fraction of GAMA is reproduced by construction, but we note that this would not necessarily be the case if the number of galaxies in a stellar mass bin were too small to recover the exact satellite fraction. Decreasing (increasing) the value of $M_{\text{limit}}^{\text{star}}$ with respect to the fiducial value, has the net effect of decreasing (increasing) the satellite fraction. The fiducial values of $M_{\text{limit}}^{\text{star}}$ in each stellar mass bin are $(9.46, 9.91, 9.96, 10.33, \ldots)$, see also column (11) of Table 1. We note that the value of $M_{\text{limit}}^{\text{star}}$ is ill-defined for the most massive bin. In fact, the haloes that enter in this bin satisfy the richness cut for every value of $M_{\text{limit}}^{\text{star}}$ that is lower than the lower limit of the bin itself ($\log [M_{\text{star}}/M_{\odot}] = 11.5$). We also note that the fiducial values of $M_{\text{limit}}^{\text{star}}$ are close to the completeness limit at $z = 0.18$ of the specific GAMA galaxy group sample adopted throughout the paper.

Since the value of the satellite fraction, in our approximation of the GAMA selection function, is essential for the calculation of the combined signals from satellite and central galaxies, the choice of $M_{\text{limit}}^{\text{star}}$ has a major effect on the comparison with observations when galaxies are not separated in centrals and satellites (see Section 4.3).

4 RESULTS

In the following, we present the results for the ESD $\Delta \Sigma$ computed from the simulations (for details see Section 3.2). We divide galaxies into five stellar mass bins ranging from $\log_{10}(M_{\text{star}}/M_{\odot}) = 10.3$ to $\log_{10}(M_{\text{star}}/M_{\odot}) = 11.8$. In the simulations, we consider all stellar mass particles bound to a subhalo for the stellar mass determination. We note that this choice may overestimate the stellar mass content since in observations stars in galaxy outskirts are often not detectable. We address this caveat by correcting the stellar mass of GAMA galaxies by a multiplicative factor given by the ratio between the galaxy’s measured flux in the $r$ band and the integral of its Sérsic profile up to infinity (Taylor et al. 2011). In this way, we correct the stellar mass of galaxies by taking into account their undetected flux. An alternative approach would be to consider only stellar particles within a $30\,\text{kpc}$ aperture for the stellar mass calculation in EAGLE (see the discussion in Schaye et al. 2015). Similarly, we would need to correct the observed stellar mass by the multiplicative factor given by the ratio between the measured flux ($r$ band) of the galaxy and its integrated Sérsic profile up to $30\,\text{kpc}$. We tested this alternative approach, leading to very similar results with the disadvantage of reducing the number of galaxies available from the EAGLE simulations in the highest stellar mass bins. We therefore opted for the former approach. The ESD in a given stellar mass bin is computed by stacking the $\Delta \Sigma$ of all galaxies in that mass bin.

We compare each prediction from the simulation to the corresponding data from KiDSxGAMA. We first present results for central and satellite galaxies separately (see Sections 4.1 and 4.2). We then present the results for both galaxy types combined (Section 4.3). This signal is the linear combination of the signal from satellite and central galaxies, where the relative importance of the two terms is modulated by the value of the satellite fraction (Section 4.3.1).

4.1 The galaxy–galaxy lensing signal around central galaxies

Fig. 3 shows the ESD profile around central galaxies in the EAGLE simulation as a function of the projected distance from the centre of the galaxy. For all mass bins $\Delta \Sigma$ is a decreasing function of the projected radius. Fluctuations in the ESD profiles can arise due to the presence of matter associated with satellite galaxies, but these are usually not massive enough to significantly alter the azimuthally averaged ESD profile. Moreover, since the signal is averaged over many galaxies, any deviation due to the presence of a relatively massive satellite would be averaged out in the stacking process.

Table 1 reports values of the mean subhalo mass $M_{\text{sub}}^{\text{mean}}$ for each stellar mass bin. The $\Delta \Sigma(R = 0.05\,\text{h}^{-1}\,\text{Mpc})$ (the intersection between the red dashed line in Fig. 3 and the $\Delta \Sigma$ profiles for different stellar mass bins) and the mean mass $M_{\text{sub}}^{\text{mean}}$ are approximated reasonably well by single power-law functions of the stellar mass (not shown here), albeit with different coefficients. $\Delta \Sigma(R = 0.05\,\text{h}^{-1}\,\text{Mpc})$ shows a weaker dependence on stellar mass with respect to $M_{\text{sub}}^{\text{mean}}$ which, in this stellar mass range, has a power-law coefficient close to unity. Central galaxies with higher $\Delta \Sigma$ amplitudes are hosted by more massive haloes. Therefore, as expected, the amplitude of the $\Delta \Sigma$ profile at small scales is a proxy for the typical mass of the subhaloes hosting central galaxies in a given stellar mass bin.

4.1.1 Comparison with observations

Fig. 4 shows the $\Delta \Sigma$ signal in EAGLE (red curves) whereas $\Delta \Sigma$ from the observations is indicated with black diamonds and vertical error bars. Curves with different shades of grey show the

Figure 3. Profiles of the excess surface density, $\Delta \Sigma$, of matter around central galaxies up to projected separations of $2\,\text{h}^{-1}\,\text{Mpc}$ from the centre of the galaxy. To mimic the GAMA selection function, only galaxies hosted by groups with five or more members with masses above the stellar mass limit listed in column (11) of Table 1 are taken into account for this analysis. Central galaxies are divided into five stellar mass bins ranging from $\log_{10}(M_{\text{star}}/M_{\odot}) = 10.3$ to $\log_{10}(M_{\text{star}}/M_{\odot}) = 11.8$. The vertical dashed line marks $R = 0.05\,\text{h}^{-1}\,\text{Mpc}$ representative of the scales at which the inner part of the dark matter halo dominates the signal.
Figure 4. Excess surface density profiles from KiDSxGAMA (black diamonds) and in the EAGLE simulation (red curves) for central galaxies hosted by groups with five or more members that each have stellar masses greater than $M_{\text{limit}}^{\text{star}}$ (listed in column 11 of Table 1) in order to mimic the GAMA selection of galaxies. Each panel contains a different bin in central galaxy stellar mass. Asymmetric error bars show the $2\sigma$ error in each $R$ bin. Curves with different shades of grey show the ESD profiles in EAGLE with a choice of the $M_{\text{limit}}^{\text{star}}$ of respectively $-1.5$, $-0.75$ dex below and $+0.25$ dex above the values that reproduce the GAMA satellite fraction.

ESD profiles in EAGLE with a different choice of the $M_{\text{limit}}^{\text{star}}$ (see Section 3.3). For stellar masses $10.3 < \log_{10}(M_{\text{star}}/M_\odot) < 10.6$, the uncertainties in the data are large due to the limited number of low-mass galaxies that are centrals in rich groups ($N_{\text{FoF}}^{\text{GAMA}} \geq 5$) and therefore not representative of the entire central galaxy population (Viola et al. 2015). For stellar masses $10.6 < \log_{10}(M_{\text{star}}/M_\odot) < 11.8$ the uncertainties on the measurements are smaller and the radial dependence of the signal is better constrained. We find an overall agreement between data and predictions from the simulation and in what follows we discuss some features in more detail.

The agreement between the ESD in EAGLE and KiDS suggests that central galaxies, with masses $10.6 < \log_{10}(M_{\text{star}}/M_\odot) < 11.5$ in the simulation are hosted by subhaloes of approximately the correct mass and the right density profile. This is perhaps not surprising considering that EAGLE was calibrated to broadly reproduce the GSMF (mostly composed by central galaxies) and therefore assign approximately the correct stellar mass to subhaloes. For $11.2 < \log_{10}(M_{\text{star}}/M_\odot) < 11.8$ the observed $\Delta \Sigma$ seems to favour a shallower ESD profile at radii larger than 400 $h^{-1}$ kpc. This might reflect a box-size effect, as more massive (more extended and less concentrated) haloes might be missing in the small volume probed by the EAGLE simulation. This hypothesis is supported by the results of a similar analysis (Jakobs et al. in preparation) using the BAHAMAS simulation (McCarthy et al. 2017). The box of BAHAMAS is much larger than EAGLE, whilst the baryon physics is implemented using the exact same prescriptions. In this case, there is no evidence of any large-scale differences in the measured signal, supporting the hypothesis that the mismatch between EAGLE and GAMA is indeed due to the limited simulation box size.

The mean host halo masses predicted by EAGLE for galaxies in the five stellar mass bins shown can be found in Table 1, column (2).

We have computed analytical $\Delta \Sigma$ profiles corresponding to haloes with Navarro, Frenk & White (1997, hereafter NFW) matter density profiles for the halo masses reported in column (2) of Table 1. These analytical profiles reproduce the overall normalization of the signal but poorly match the radial dependence of the numerical profiles. In Appendix A, we discuss this test in detail, and we also comment on the cause of the limitations of simple analytical model in accurately describing the $\Delta \Sigma$ profiles obtained from simulations.

In the case of central galaxies, the choice of $M_{\text{limit}}^{\text{star}}$ has a small effect on the ESD profile computed from the simulations as can be seen by comparing the grey lines in Fig. 4. To quantify this, we employ the following statistics:

$$
\chi^2_{\text{red}} = \frac{1}{(N_{\text{points}} - 1)} \sum_i \frac{(\Delta \Sigma^{\text{EAGLE}} - \Delta \Sigma^{\text{data}})_i^2}{\sigma_i^{\text{EAGLE}} + \sigma_i^{\text{data}}^2},
$$

where $N_{\text{points}}$ is the number of stellar mass bins times the number of data points per bin and $i$ is an index running through all 60 data points. We obtain values $\chi^2_{\text{red}} = 1.4$ for the fiducial value of $M_{\text{limit}}^{\text{star}}$. We note that four points in each of the two most massive stellar mass bins lead to most of the deviations of $\chi^2_{\text{red}}$ from unity. Furthermore, $\chi^2_{\text{red}}$ ranges from 1.4 to 1.8 as we change...
Satellites

Figure 5. Same as Fig. 3 but for satellite galaxies. To ease the comparison the results for the central galaxies are reported with grey curves. The two vertical lines mark $R = 0.05 \, h^{-1} \text{Mpc}$ and the $R = 0.5 \, h^{-1} \text{Mpc}$.

$M_{\text{star}}^{\text{limit}}$ from its fiducial value to the fiducial $-1.5$. We note that, throughout the paper, we are neglecting any off-diagonal terms of the covariance matrix. Although this might have a (supposedly small) effect on the absolute value of the $\chi_{\text{stat}}^2$, we are here mostly concerned with relative differences among models with different choices of a limiting stellar mass. In the context of this comparison, we consider the differences reported above not worth further investigations.

Higher values of $M_{\text{star}}^{\text{limit}}$ tend to produce higher amplitudes of the ESD profiles since higher mass subhaloes are being selected. The relative insensitivity on the exact choice of $M_{\text{star}}^{\text{limit}}$ suggest that for a comparison of ESD profiles of central galaxies only, the exact details of the galaxy selection are not crucial. We anticipate that the same argument is not applicable when the ESD profiles of central and satellite galaxies are analysed jointly since the choice of $M_{\text{star}}^{\text{limit}}$ determines the satellite fraction which in turn plays a major role in establishing how the ESD profiles of central and satellite galaxies are combined (see Section 4.3).

4.2 The galaxy–galaxy lensing signal around satellite galaxies

Unlike central galaxies, the $\Delta \Sigma$ profiles of the satellites galaxies are not necessarily expected to be simply decreasing functions of the separation from the centre. For a single satellite galaxy the profile should become negative at the projected separation from the centre of the host halo (Yang et al. 2006; Sifón et al. 2015). This effect is due to the surface density at the centre of the host halo being larger than the mean internal surface density, $\Sigma(R_{\text{halo}}) > \hat{\Sigma}(<R_{\text{centr}})$. At larger separations than the separation to the host halo, the $\Delta \Sigma$ profile first increases due to the inclusion of the centre of the host halo in the term $\Sigma(<R)$, before decreasing again at still larger separations. Stacking the $\Delta \Sigma$ of satellites in a given stellar mass bin smooths out the negative parts of the profiles since the separations between satellites and their host halo vary. However, the increase in the signal at larger radii is preserved by the stacking.

Fig. 5 shows the $\Delta \Sigma$ profile of satellite galaxies in the EAGLE simulation. The amplitude of the $\Delta \Sigma$ profile at small separations ($R = 0.05 \, h^{-1} \text{Mpc}$) is an increasing function of the stellar mass of the satellite. The same trend is shared by the average subhalo mass for satellite galaxies since satellites with higher stellar masses tend to be hosted by more massive dark matter subhaloes (see Table 1, column 5). As in the case of central galaxies, the similar dependence on the stellar mass suggests that the amplitude of $\Delta \Sigma$ at small separations can be considered a proxy for the mass of the subhalo hosting the satellite galaxy.

The radius at which the $\Delta \Sigma$ profile starts to be dominated by the host halo mass (the satellite bump) increases with stellar mass. This effect is driven by the change in the average distance between satellites and their host haloes, which increases from $\approx 880$ to $\approx 2800$ kpc in the mass range considered (see Table 1, column 7).

For larger separations ($R = 0.5 \, h^{-1} \text{Mpc}$), the $\Delta \Sigma$ profile starts to be dominated by the contribution of the halo hosting the satellite galaxy. In this case, $\Delta \Sigma$ shares a similar trend with stellar mass as the mean host halo mass for satellite galaxies, $M_{\text{crit,200}}^{\text{halo}}$ (see Table 1, column 3).

The amplitude of the satellite bump is similar for all the stellar mass bins, which can be explained by the fact that the richness cut effectively selects host haloes by mass. Indeed, most of the satellites with stellar mass $10.3 < \log_{10}(M_{\text{star}}/M_{\odot}) < 11.5$ reside in host haloes of mass $13.95 < \log_{10}(M_{\text{crit,200}}^{\text{halo}}/M_{\odot}) < 14.24$. The prominence of the satellite bump with respect to the overall normalization decreases with stellar mass, a trend that is explained by the fact that the ratio $M_{\text{crit,200}}^{\text{halo}}/M_{\text{crit,200}}$ increases from 0.03 to 0.3 in the considered mass range (see Table 1, column 6).

The similar dependence of $\Delta \Sigma$ with halo mass at larger radii highlights the fact that the amplitude of the satellite bump is tightly correlated to the host halo mass. In principle, the amplitude of the satellite bump should depend on the satellite’s subhalo mass as well as on the host halo mass. In practice the satellite’s subhalo mass is, except for the highest stellar mass bin, a small fraction of the host halo mass and therefore it plays a minor role in setting the amplitude of the satellite bump.

4.2.1 Comparison with observations

Fig. 6 shows the comparison between the observed $\Delta \Sigma$ profile of satellite galaxies (black squares) and the corresponding signal in the EAGLE simulation (blue curves) for the five stellar mass bins. The ESD profiles computed for different choices of $M_{\text{star}}^{\text{limit}}$ are shown in grey. For $10.3 < \log_{10}(M_{\text{star}}/M_{\odot}) < 10.9$ there is an overall broad agreement between simulation predictions and observations.

For $\log_{10}(M_{\text{star}}/M_{\odot}) > 10.6$, the normalization of the ESD profile at small ($0.03 < R < 0.2 \, h^{-1} \text{Mpc}$) scales is higher in the simulations than in the observations although at low significance (less than $2\sigma$).

For stellar masses $10.9 < \log_{10}(M_{\text{star}}/M_{\odot}) < 11.8$, the data show a higher amplitude for the satellite bump with respect to the simulations. This unreproduced feature could be explained by the fact that in EAGLE, due to its relative small volume, massive clusters and the satellite galaxies that they host are under-represented. The inclusion of those satellites would increase the amplitude of the satellite bump which depends strongly on the host halo mass (see previous section). Indeed, by analysing a version of EAGLE that has the same mass resolution but an eighth of the volume, we find that the amplitude of the satellite bump decreases, an effect that is more important at higher stellar masses.
Figure 6. Excess surface density profiles from KiDSxGAMA (black squares) and in the EAGLE simulation (blue curves) for satellite galaxies hosted by groups with five or more members that each have stellar masses greater than $M_{\text{limit}}^{\text{star}}$ (listed in column 11 of Table 1) in order to mimic the GAMA selection of galaxies. Each panel contains a different bin in satellite galaxy stellar mass. As in Fig. 4, asymmetric error bars show the 2\,$\sigma$ error in each $R$ bin. Curves with different shades of grey show the ESD profiles in EAGLE with a choice of the $M_{\text{limit}}^{\text{star}}$ of respectively $-1.5$, $-0.75$ dex below and $+0.25$ dex above the values that reproduce the GAMA satellite fraction.

As was also seen for the ESD profile of central galaxies, the choice of $M_{\text{limit}}^{\text{star}}$ has only a relatively minor effect on the ESD profile of satellite galaxies as computed from the simulation. In fact, the reduced $\chi^2$ between the model and the data increases from its fiducial value of $\chi^2_{\text{red}} = 2.7$ to $\chi^2_{\text{red}} = 3.7$ in the case of $\log_{10}(M_{\text{star}}^{\text{limit}}) = -1.5$.

4.3 The galaxy–galaxy lensing signal around all galaxies

In this section, we present the ESD calculated considering all galaxies without distinguishing between centrals and satellites (studying only galaxies in rich groups). The $\Delta \Sigma$ profile of the whole population of galaxies of a given stellar mass is a linear combination of the profiles for satellites, $\Delta \Sigma_{\text{sat}}$, and centrals, $\Delta \Sigma_{\text{cen}}$:

$$\Delta \Sigma = f_{\text{sat}} \Delta \Sigma_{\text{sat}} + (1 - f_{\text{sat}}) \Delta \Sigma_{\text{cen}},$$

where $f_{\text{sat}}$ is the satellite fraction of galaxies in a given stellar mass bin. The relative importance of each term is set by the value of $f_{\text{sat}}$. Therefore, the $\Delta \Sigma$ profile of the whole galaxy population lies in between those for satellite and central galaxies.

As was also seen for the ESD profile of central galaxies, the choice of $M_{\text{limit}}^{\text{sat}}$ has only a relatively minor effect on the ESD profile of satellite galaxies as computed from the simulation. In fact, the reduced $\chi^2$ between the model and the data increases from its fiducial value of $\chi^2_{\text{red}} = 2.7$ to $\chi^2_{\text{red}} = 3.7$ in the case of $\log_{10}(M_{\text{star}}^{\text{limit}}) = -1.5$.

4.3.1 Comparison with observations

Fig. 7 shows the comparison of the $\Delta \Sigma$ profiles obtained from observations (black triangles) and the EAGLE simulation (black curves). As in previous figures the $\Delta \Sigma$ profiles for different choices of $M_{\text{limit}}^{\text{star}}$ are shown in grey.

Most of the differences between $\Delta \Sigma$ in the simulation and observations are in line with what we expect from our previous results. Specifically, the amplitude of the satellite bump at $11.2 < \log_{10}(M_{\text{star}}^{\text{limit}}/M_\odot) < 11.8$ arises from the same feature already present in the $\Delta \Sigma$ profile of satellite and central galaxies, as $\Delta \Sigma$ for all galaxies is a linear combination of the two (see equation 9).

The degrees of agreement between the EAGLE and GAMA results is driven by the choice of a $M_{\text{limit}}^{\text{star}}$ that reproduces the satellite fraction of GAMA. In fact, for different choices of $M_{\text{limit}}^{\text{star}}$, the agreement between the simulation and observations worsens considerably. The $\chi^2_{\text{red}}$ between the model and the data increases from its fiducial value of $\chi^2_{\text{red}} = 2.7$ to $\chi^2_{\text{red}} = 8$ in the case of $\log_{10}(M_{\text{star}}^{\text{limit}}) = -1.5$. This dependence of $\chi^2_{\text{red}}$ on the choice of $M_{\text{limit}}^{\text{star}}$ is considerably stronger than when satellites and centrals are analysed separately, suggesting that particular care has to be taken when selecting groups in EAGLE when satellites and centrals are analysed jointly. On the other hand, this analysis shows that the GGL signal has the potential to be a powerful tool to test the mix of satellites and centrals predicted by simulations.

5 POSSIBLE LIMITATIONS OF THE COMPARISON

In this section, we discuss some of the limitations of our study and highlight possible future improvements. The main issues are as follows:
(i) In the comparison between simulation and observations an important role is played by stellar mass errors, both random and systematic. We consider here the effect of a random error of $\sim 0.1$ dex (Behroozi et al. 2013) associated with random uncertainties in the stellar mass estimation from broad-band photometry. We are not considering the effect of systematic errors that might arise from different choices in the stellar population synthesis model or in the initial stellar mass function. Since the number density of galaxies decreases with stellar mass, random errors always scatter more low-mass galaxies to high masses than vice versa. The importance of this effect depends on the steepness of the GSMF. For low masses, $\log_{10}(M_{\text{star}}/M_\odot) < 10.9$, where the GSMF is reasonably flat, a comparable number of galaxies is scattered towards higher and lower masses. On the other hand, for higher stellar masses where the GSMF is steeper, relatively more low-mass galaxies are scattered towards higher masses. Therefore, the effect of random errors is expected to be stronger at higher masses (e.g. Furlong et al. 2015). We verified that the uncertainties in the stellar mass determinations play a very minor role for all stellar mass bins. The effect of random errors on the $\Delta\Sigma$ profiles is well within the errors on the simulation results.

These errors can be significantly larger ($\sim 0.3$–0.4 dex, see Conroy, Gunn & White 2009; Behroozi, Conroy & Wechsler 2010; Pforr, Maraston & Tonini 2012; Mitchell et al. 2013) than the random error considered here. However, as described in Sections 2.2 and 3, both data and simulation assume a Chabrier (2003) IMF.

(ii) The group finder of EAGLE identifies groups in real space whereas the GAMA group finder uses redshift space. This may cause differences in the $\Delta\Sigma$ profile, in particular if interlopers are wrongly assigned to groups, which would artificially increase the richness of the observed group. Therefore, the observed signal would be artificially lowered by the contribution of less massive groups hosting fewer than five members. To be fully consistent, the same algorithm should be employed in both simulations and observations.

(iii) The centring in observations is done according to the light emitted by the galaxies – the centre of a group is defined as the location of the Brightest Group Galaxy – whereas in simulations we adopt the position of the particle with the minimum gravitational potential as the centre. Schaller et al. (2015) have shown that in EAGLE the majority of the galaxies (>95 per cent) have offsets between the centre of mass of their stellar and dark matter distribution that are smaller than the simulation’s gravitational softening length ($\sim 700$pc). Therefore, this effect is unlikely to be important. It should be mentioned though that the galaxy residing at the centre of the host halo is not necessarily the brightest. A more detailed comparison would then require to employ the same definition of centre in both data and simulations.

(iv) In this work, we mostly assume that the good agreement between the simulation and observations stems from the ability of EAGLE to reproduce the observed GSMF. A comprehensive study should be made to test how sensitive this agreement is to the level at which the GSMF is reproduced by the simulations. This can be studied by employing the EAGLE models using different
subgrid parameters (Crain et al. 2015), although these simulations use volumes that are at least a factor of eight smaller than the main EAGLE run, which may be problematic.

6 CONCLUSIONS

In this work, we compare the ESD profile $\Delta \Sigma(R)$ obtained from the state-of-the-art hydrodynamical cosmological EAGLE simulation to the observed weak GGL signal using (source) galaxies with accurate shape measurements from the KiDS survey around spectroscopically confirmed (lens) galaxies from the GAMA survey (referred throughout the paper as KiDSxGAMA). Results are presented for (lens) central and satellite galaxies in five logarithmically equispaced stellar mass bins in the range $10.3 < \log_{10}(M_{\text{star}}/M_\odot) < 11.8$.

The GAMA survey is 98 per cent complete down to $r$-band magnitude 19.8. This yields a relatively simple selection function. We mimic this selection function by taking galaxies in the EAGLE simulation with stellar masses above $M_{\text{lim}}^{\text{star}}$ (about $10^5 M_\odot$, see Table 1). The precise value of this limit in stellar mass is chosen in order to reproduce the relative abundances of central and satellite galaxies for the different stellar mass bins in GAMA. To minimize the mis-identification of central and satellite galaxies, only groups with at least five members are used in the data (Robotham et al. 2011). We apply the same ‘richness cut’ to the simulation.

The $\Delta \Sigma$ profile of central galaxies (Fig. 3) in EAGLE is a decreasing function of the transverse separation with a scale-dependent logarithmic slope. We compare the $\Delta \Sigma$ signal of central galaxies in EAGLE with the observed signal in KiDSxGAMA. We find that both the normalization and the radial dependence of the signal from EAGLE are in broad agreement with the data for $\log_{10}(M_{\text{star}}/M_\odot) < 11.2$ (Fig. 4). This finding suggests that the average halo mass, as well as the projected matter density profile, around central galaxies in EAGLE is consistent with observations. The former is perhaps not surprising as the EAGLE simulation has been calibrated to reproduce the low-redshift stellar mass function and it is therefore expected to have a stellar-to-halo mass relation in agreement with observational proxies such as the stellar mass dependence of the $\Delta \Sigma$ profile. For the highest stellar mass bins ($11.2 < \log_{10}(M_{\text{star}}/M_\odot) < 11.8$), EAGLE underestimates the signal at large radii ($\sim 1$ Mpc) most likely because its relatively modest volume ($100^3$ Mpc$^3$) leads to a lack of massive clusters.

For low stellar masses, the $\Delta \Sigma$ profile of satellite galaxies is a non-monotonic function of the separation from the centre. This feature stems from the fact that the signal is dominated by two different components at different scales. The smallest scales ($R <$ 0.2 h$^{-1}$ Mpc) are dominated by the subhalo attached to the satellite galaxy. The largest scales ($0.2 < R < 2$ h$^{-1}$ Mpc) are dominated by the contribution from the main host halo. For stellar masses below $\log_{10}(M_{\text{star}}/M_\odot) < 11$, the EAGLE predictions and KiDS data are in agreement at all probed scales, suggesting that satellite galaxies in the simulations are hosted by subhaloes with the correct mass and that they reside in host haloes with the correct halo mass. The agreement is less satisfactory for galaxies with $\log_{10}(M_{\text{star}}/M_\odot) > 11.2$ for which the small volume of EAGLE plays a significant role.

When central and satellite galaxies are analysed independently, the exact choice of the galaxy selection function has a small effect on the ESD profile computed from the simulations. If $M_{\text{lim}}^{\text{star}}$ is varied by almost two orders of magnitude, the difference between the $\Delta \Sigma$ profiles is remarkably small. However, when the ESD profiles of central and satellite galaxies are analysed jointly, the EAGLE predictions of the ESD profile are sensitive to the selection function.

We have calibrated the choice of the value of $M_{\text{lim}}^{\text{star}}$ to reproduce the GAMA satellite fraction in bins of stellar mass as this quantity encapsulates the main effect. However, our analysis makes apparent that, as the quality of the data improves, it will become crucial to properly mimic selection effects to compare GGL observations and predictions from simulations, which will enable the satellite fraction to be tested directly.

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Galaxy–galaxy lensing in EAGLE

The measured GGL signal is often interpreted in the context of a $\Lambda$CDM framework where the baryon content of a (lens) galaxy is embedded in a dark matter halo. The lensing effect on the light rays assumes that (i) the contribution to the lensing signal from the stellar mass of a galaxy can be described as a point-mass contribution ($\Delta\Sigma_{\text{gal}}(R) \propto R^{-2}$), (ii) the contribution from (both cold and hot) gas ($\Delta\Sigma_{\text{gas}}(R) \approx 0$) and (iii) the contribution from the dark matter halo, $\Delta\Sigma_{\text{halo}}(R)$, can be described analytically assuming a spherical NFW matter density profile. The ESD profiles computed from the EAGLE simulation represent a benchmark against which the simple model outlined above can be tested. With this aim, we proceed with the following sections.

A1 ESD signal of the mean halo and stellar mass

For each stellar mass bin for which $\Delta\Sigma$ is computed, we know which haloes contribute to the stack. We thus can compute the mean$^7$ halo mass for each stellar mass bin (see column 2 in Table 1). We compute $\Delta\Sigma_{\text{halo}}(R)$ corresponding to this mass adopting the concentration–halo mass relation derived for (relaxed$^8$) haloes of the EAGLE simulation (see Schaller et al. 2015). We also compute $\Delta\Sigma_{\text{gal}}(R)$ using the mean stellar mass in each bin. The results are

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7 We have repeated the exact test either using the median (stellar and halo) masses in the bins or using the entire distribution of (stellar and halo) masses and in both cases the results do not change significantly.

8 We further comment on this in the next subsection.
shown in Fig. A1 where the ESD profiles of the simulations (green points with error bars) have been rebinned to 10 radial points, and the different contributions are indicated with different line styles and colours as indicated in the legend.

The analytical description of the ESD profiles is in fair agreement for all stellar mass bins only on scales larger than \( R \sim 0.25 h^{-1} \text{Mpc} \). On smaller scales, the analytical description systematically overestimates the results from the simulations. The agreement on relatively large scales suggests that the knowledge of the mean total mass of the halo is indeed sufficient to describe the lensing signal at those scales. On smaller scale, however, the ESD profile is clearly dependent on the actual matter density distribution. The fact that the simulations are systematically below the analytical predictions seems to indicate that the haloes that contribute to the signal are less centrally concentrated than what is assumed. Schaller et al. (2015) show that the dark matter haloes in the EAGLE simulation have slightly different concentrations than those in the dark matter only version of EAGLE. However, the difference is not sufficient to explain the feature under inspection here. It is worth noting that the concentration–mass relation provided by Schaller et al. (2015) and adopted here for this test was derived using only relaxed haloes (for which a spherical NFW matter density profile is an adequate description). Not all of the haloes that enter the stack in each stellar mass bin are expected to be relaxed and this may be the cause of the difference between the analytical and numerical ESD profiles. Duffy et al. (2008) reported indeed that, in the case of the OWLS simulations (Schaye et al. 2010), a sample with only relaxed haloes yields on average higher concentrations than a sample where also unrelaxed haloes are included. We show that using the halo concentration–mass relation in Duffy et al. (2008) for the full sample indeed leads to lower \( \Delta \Sigma \) profiles on scales below \( \sim 0.25 h^{-1} \text{Mpc} \). This in turn yields a better agreement with the profiles predicted from the EAGLE simulation (dot–dashed red line in Fig. A1). Despite the improvement, significant differences are still noticeable for the four lowest mass bins and on scales \( 0.03 < R/(h^{-1} \text{Mpc}) < 0.2 \). We defer a more quantitative analysis of this feature to further publications as it is beyond the scope of this paper.

### A2 Fitting the numerical \( \Delta \Sigma \) profiles

The test described in Appendix A1 shows that a simple analytical model cannot reproduce the entire scale dependence of the ESD profiles obtained from the EAGLE simulation. The question then arises whether this severely hampers the possibility to retrieve halo properties such as their masses and concentrations when such simple models are employed to fit the ESD profiles. To answer this question we define a model in which

\[
\Delta \Sigma(R) = \Delta \Sigma_{\text{star}}(R|M_{\text{star}}) + \Delta \Sigma_{\text{halo}}(R|M_{\text{halo}}, c_{\text{halo}}).
\]  

(A1)
Figure A2. Excess surface density computed for central galaxies in EAGLE for different stellar mass bins (green circles with error bars, these profiles are the rebinned versions of those plotted with a red line in Fig. 4.). Red curves (and orange shades) represent the median (and the 68 per cent credibility intervals) derived from the MCMC employed to fit the data. A fair description of the data can be obtained for each bin except for that corresponding to galaxies in the stellar mass range $10.6 < \log \left( \frac{M_{\text{star}}}{M_\odot} \right) < 10.9$ (see text for a discussion about this feature).

\[ \langle \frac{M_{\text{star}}}{M_\odot} \rangle \]

is a free parameter that indicates the mean stellar mass in each stellar mass bin,\(^9\) $M_{\text{halo}}$ and $c_{\text{halo}}$ are two free parameters that completely specify the analytical ESD profile of a halo with a NFW matter density profile. We treat the ESD profiles from the EAGLE simulation as the data to be fit by this model. We fit $\langle \frac{M_{\text{star}}}{M_\odot} \rangle$, $M_{\text{halo}}$, and $c_{\text{halo}}$ independently for each stellar mass bin. No priors are imposed on $M_{\text{halo}}$ and $c_{\text{halo}}$, whereas we impose that $\langle \frac{M_{\text{star}}}{M_\odot} \rangle$ is within the stellar mass bin limits. The fit is performed using a Markov Chain Monte Carlo (MCMC) technique. Specifically, we employ the publicly available EMCEE code (Foreman-Mackey et al. 2013) and we check for convergence by ensuring that the chain is much longer than the autocorrelation length of each parameter. We find that the best-fitting model yields a $\chi^2_{\text{red}} = 48.9/(50 - 10) = 1.22$, i.e. the simple model can adequately describe the data, although more flexible models might yield even better agreement. Fig. A2 shows the ESD profiles from the simulation (green points with error bars) and the median and the 68 per cent credibility level (red curves and orange shaded regions) derived from the MCMC run.

The top panel of Fig. A3 shows the constraints on the mean stellar and halo masses obtained by fitting the $\Delta \Sigma$ of the EAGLE simulation with the simple analytical model described above. For comparison, we report the results by van Uitert et al. (2016) obtained simultaneously fitting the KiDSxGAMA GGL profile and the GAMA stellar mass function. We note here that van Uitert et al. (2016) employed a sophisticated halo model rather than a simple three-parameter (per bin) model like the one adopted here. In the range $10.6 < \log \left( \frac{M_{\text{star}}}{M_\odot} \right) < 11.5$, we find a very satisfactory agreement between the two stellar–halo mass relations. We note, however, that the inferred halo masses for the lowest and the highest stellar mass bins differ at $2\sigma$ level. In this paper, we refrain from investigating the source of this disagreement in any detail but we defer to fig. 3 of van Uitert et al. (2016) for a discussion of the differences in the constraints on the halo masses when one fits GGL alone or jointly with the stellar mass function.

The bottom panel of Fig. A3 shows the constraints on the halo concentration and mass obtained by fitting the $\Delta \Sigma$ of the EAGLE simulation with the simple analytical model described above. As expected from the test in Appendix A1 the posterior distributions of the parameters $M_{\text{halo}}$ and $c_{\text{halo}}$ indicate that concentrations are systematically underestimated with respect to the fiducial concentration–halo mass relation (black points in Fig. A3). The result we find confirms the notion that the halo concentrations found via a fitting of the ESD profiles have to be interpreted as effective concentrations and are most likely to be lower than those based on fits of relaxed haloes in numerical simulations. This has already been noted in several observational works, e.g. in the context of fitting ESD profiles around GAMA galaxies.

\(^9\) We adopt the same stellar mass bins as in the main body of the paper.
Figure A3. Top panel. Average halo mass (for haloes with $N_{\text{GAMA}}^{\text{FoF}} \geq 5$) of central galaxies binned in stellar mass. Comparison between the result of the MCMC run on the EAGLE $\Delta \Sigma$ profile (see detail in Appendix A2) and the result from van Uitert et al. (2016) obtained simultaneously fitting GGL and the GAMA stellar mass function for the KiDSxGAMA galaxy sample. Both blue and red horizontal bars indicate the width of the bin, whereas vertical bars indicate the 68 per cent credibility interval for the inferred halo mass. Bottom panel. Halo concentration–mass relation. Green circles with error bars refer to the median and the 68 per cent credibility interval obtained from the MCMC used to fit the EAGLE $\Delta \Sigma$ profiles. The black line represents the relation for relaxed haloes in the EAGLE simulation (see Schaller et al. 2015), where the black points indicate the mean halo masses of the five stellar mass bins used in the analysis. For reference, the concentration–mass relations from Duffy et al. (2008) are also reported with red dashed and blue dotted lines, indicating the relation derived for relaxed-only and all haloes, respectively (see discussion in Appendix A2).

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