PyArmadillo: a streamlined linear algebra library for Python

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Abstract

PyArmadillo is a linear algebra library for the Python language, with the aim of closely mirroring the programming interface of the widely used Armadillo C++ library, which in turn is deliberately similar to Matlab. PyArmadillo hence facilitates algorithm prototyping with Matlab-like syntax directly in Python, and relatively straightforward conversion of PyArmadillo-based Python code into performant Armadillo-based C++ code. The converted code can be used for purposes such as speeding up Python-based programs in conjunction with pybind11, or the integration of algorithms originally prototyped in Python into larger C++ codebases. PyArmadillo provides objects for matrices and cubes, as well as over 200 associated functions for manipulating data stored in the objects. Integer, floating point and complex numbers are supported. Various matrix factorisations are provided through integration with LAPACK, or one of its high performance drop-in replacements such as Intel MKL or OpenBLAS. PyArmadillo is open-source software, distributed under the Apache 2.0 license; it can be obtained at https://pyarma.sourceforge.io or via the Python Package Index in precompiled form.

Background

Armadillo is a popular linear algebra and scientific computing library for the C++ language [13, 14] that has three main characteristics: (i) a high-level programming interface deliberately similar to Matlab, (ii) an expression evaluator (based on template meta-programming) that automatically combines several operations to increase speed and efficiency, and (iii) an efficient mapper between mathematical expressions and low-level BLAS/LAPACK functions [11, 15]. Matlab is widely used in both industrial and academic contexts, providing a programming interface that allows mathematical expressions to be written in a concise and natural manner [10], especially in comparison to directly using low-level libraries such as LAPACK [2]. In industrial settings, algorithms are often first prototyped in Matlab, before conversion into another language, such as C++, for the purpose of integration into products. The similarity of the programming interfaces between Armadillo and Matlab facilitates direct prototyping in C++, as well as the conversion of research code into production environments. Armadillo is also often used for implementing performance critical parts of software packages running under the R environment for statistical computing [12], via the RcppArmadillo bridge [5].

Over the past few years, Python has become popular for data science and machine learning. This partly stems from a rich ecosystem of supporting frameworks and packages, as well as lack of licensing costs in comparison to Matlab. Python allows relatively quick prototyping of algorithms, aided by its dynamically typed nature and the interpreted execution of user code, avoiding time-consuming compilation into machine code. However, for the joint purpose of algorithm prototyping and deployment, the flexibility of Python comes with two main issues: (i) slow execution speed due to the interpreted nature of the language, (ii) difficulty with integration of code written in Python into larger programs and/or frameworks written in another language. The first issue can be somewhat addressed through conversion of Python-based code into the low-level Cython language [4]. However, since Cython is closely tied with Python, conversion of Python code into C++ may be preferred as it also addresses the second issue, as well as providing a higher-level of abstraction.
PyArmadillo is aimed at: (i) users that prefer compact Matlab-like syntax rather than the somewhat more verbose syntax provided by NumPy/SciPy [6, 17], and (ii) users that would like a straightforward conversion path to performant C++ code. More specifically, PyArmadillo aims to closely mirror the programming interface of the Armadillo library, thereby facilitating the prototyping of algorithms with Matlab-like syntax directly in Python. Furthermore, PyArmadillo-based Python code can be easily converted into high-performance Armadillo-based C++ code. Due to the similarity of the programming interfaces, the risk of introducing bugs in the conversion process is considerably reduced. Moreover, conversion into C++ based code allows taking advantage of expression optimisation performed at compile-time by Armadillo, resulting in further speedups. The resulting code can be used in larger C++ programs, or used as a replacement of performance critical parts within a Python program with the aid of the pybind11 interface layer [9].

**Functionality**

PyArmadillo provides matrix objects for several distinct element types: integers, single- and double-precision floating point numbers, as well as complex numbers. In addition to matrices, PyArmadillo also has support for cubes (3 dimensional arrays), where each cube can be treated as an ordered set of matrices. Over 200 functions are provided for manipulating data stored in the objects, covering the following areas: fundamental arithmetic operations, contiguous and non-contiguous submatrix views, diagonal views, element-wise functions, scalar/vector/matrix valued functions of matrices, statistics, signal processing, storage of matrices in files, matrix decompositions/factorisations, matrix inverses, and equation solvers. PyArmadillo matrices and cubes are convertible to/from NumPy arrays, allowing users to tap into the wider Python data science ecosystem, including plotting tools such as Matplotlib [7].

An overview of the available functionality in PyArmadillo (as of version 0.500) is given in Tables 1 through to 8. Table 1 briefly describes the member functions and variables of the main matrix class; Table 2 lists the main subset of overloaded Python operators; Table 3 outlines matrix decompositions and equation solvers; Table 4 overviews functions for generating vectors with various sequences; Table 5 lists the main forms of general functions of matrices; Table 6 lists various element-wise functions of matrices; Table 7 summarises the set of functions and classes focused on statistics; Table 8 lists functions for signal and image processing. Lastly, Table 9 provides examples of Matlab syntax and conceptually corresponding PyArmadillo syntax. Figure 1 shows a simple PyArmadillo based Python program. See the online documentation at https://pyarma.sourceforge.io/docs.html for more details and examples.

```python
from pyarma import *
A = mat(4, 5, fill.ones)
B = mat(4, 5, fill.randu)
C = A * B.t()
C.print("C:"
```

**Figure 1:** A short PyArmadillo based Python program. See Tables 1 to 8 for an overview of the available functionality.

**Implementation & License**

PyArmadillo relies on pybind11 [9] for interfacing C++ and Python, as well as on Armadillo [13, 14] for the underlying C++ implementation of matrix objects and associated functions. Due to its expressiveness and relatively straightforward use, pybind11 was selected over other interfacing approaches such as Boost.Python [1] and manually writing C++ extensions for Python. In turn, Armadillo interfaces with low-level routines in BLAS and LAPACK [2], where BLAS is used for matrix multiplication, and LAPACK is used for various matrix decompositions/factorisations and equation solvers. As the low-level routines in BLAS and LAPACK are considered as a de facto standard for numerical linear algebra, it is possible to use high performance drop-in replacements such as Intel MKL [8] and OpenBLAS [18]. PyArmadillo is open-source software available under the permissive Apache License 2.0 [3], making it useful in both open-source and proprietary (closed-source) contexts [16].
Table 1: Subset of member functions and variables of the *mat* class, the main matrix object in PyArmadillo.

| Function/Variable | Description |
|-------------------|-------------|
| .nrows            | number of rows (read only) |
| ncols             | number of columns (read only) |
| n_elem            | total number of elements (read only) |
| i                 | access the \(i\)-th element, assuming a column-by-column layout |
| [r, c]            | access the element at row \(r\) and column \(c\) |
| .in_range(i)      | test whether the \(i\)-th element can be accessed |
| .in_range(r, c)   | test whether the element at row \(r\) and column \(c\) can be accessed |
| .reset()          | set the number of elements to zero |
| .copy(size(A))    | set the size to be the same as matrix \(A\) |
| .set_size(n_rows, n_cols) | change size to specified dimensions, without preserving data (fast) |
| .reshape(n_rows, n_cols) | change size to specified dimensions, with elements copied column-wise (slow) |
| .resize(n_rows, n_cols) | change size to specified dimensions, while preserving elements & their layout (slow) |
| .ones(n_rows, n_cols) | set all elements to one, optionally first resizing to specified dimensions |
| .zeros(n_rows, n_cols) | as above, but set all elements to zero |
| .randu(n_rows, n_cols) | as above, but set elements to uniformly distributed random values in \([0,1]\) interval |
| .randn(n_rows, n_cols) | as above, but use a Gaussian/normal distribution with \(\mu = 0\) and \(\sigma = 1\) |
| .fill(k)          | set all elements to be equal to \(k\) |
| for_each(lambda val : ...) | for each element, pass its value to a lambda function |
| .is_empty()       | test whether there are no elements |
| .is_finite()      | test whether all elements are finite |
| .is_square()      | test whether the matrix is square |
| .is_vec()         | test whether the matrix is a vector |
| .is_sorted()      | test whether the matrix is sorted |
| .has_inf()        | test whether any element is \(\pm\infty\) |
| .has_nan()        | test whether any element is not-a-number |
| .iter(A)          | iterator of matrix \(A\) |
| .iter(A, i, j)    | iterator of matrix \(A\) from the \(i\)-th element to the \(j\)-th |
| col_iter(A, i, j) | iterator of matrix \(A\) from the \(i\)-th column to the \(j\)-th |
| row_iter(A, i, j) | iterator of matrix \(A\) from the \(i\)-th row to the \(j\)-th |
| .print(header)    | print elements, with an optional text header |
| .save(name, format) | store matrix in the specified file, optionally specifying storage format |
| .load(name, format) | retrieve matrix from the specified file, optionally specifying format |
| .[diag, k]        | read/write access to \(k\)-th diagonal |
| [i, :]            | read/write access to row \(i\) |
| […]              | read/write access to column \(i\) |
| [a:b, :]          | read/write access to submatrix, spanning from row \(a\) to row \(b\) |
| […]              | read/write access to submatrix, spanning from column \(c\) to column \(d\) |
| [a:b, c:d]        | read/write access to submatrix spanning rows \(a\) to \(b\) and columns \(c\) to \(d\) |
| [p, q, size(A)]   | read/write access to submatrix starting at row \(p\) and col \(q\) with size same as matrix \(A\) |
| [vector_of_row_indices, :) | read/write access to rows corresponding to the specified indices |
| […]              | read/write access to columns corresponding to the specified indices |
| [vector_of_indices] | read/write access to matrix elements corresponding to the specified indices |
| .swap_rows(p, q)  | swap the contents of specified rows |
| .swap_cols(p, q)  | swap the contents of specified columns |
| .insert_rows(row, X) | insert a copy of \(X\) at the specified row |
| .insert_cols(col, X) | insert a copy of \(X\) at the specified column |
| .shed_rows(first_row, last_row) | remove the specified range of rows |
| .shed_cols(first_col, last_col) | remove the specified range of columns |
| .min()            | return minimum value |
| .max()            | return maximum value |
| .index_min()      | return index of minimum value |
| .index_max()      | return index of maximum value |
Table 2: Subset of matrix operations involving overloaded Python operators.

| Operation | Description |
|-----------|-------------|
| A − k     | subtract scalar k from all elements in matrix A |
| k − A     | subtract each element in matrix A from scalar k |
| A + k, k + A | add scalar k to all elements in matrix A |
| A * k, k * A | multiply matrix A by scalar k |
| A + B     | add matrices A and B |
| A − B     | subtract matrix B from A |
| A * B     | matrix multiplication of A and B |
| A @ B     | element-wise multiplication of matrices A and B |
| A / B     | element-wise division of matrix A by matrix B |
| A == B    | element-wise equality evaluation between matrices A and B |
| A != B    | element-wise non-equality evaluation between matrices A and B |
| A >= B    | element-wise evaluation whether elements in matrix A are greater-than-or-equal to elements in B |
| A <= B    | element-wise evaluation whether elements in matrix A are less-than-or-equal to elements in B |
| A > B     | element-wise evaluation whether elements in matrix A are greater than elements in B |
| A < B     | element-wise evaluation whether elements in matrix A are less than elements in B |

Table 3: Subset of functions for matrix decompositions, factorisations, inverses and equation solvers.

| Function | Description |
|----------|-------------|
| chol(X)  | Cholesky decomposition of symmetric positive-definite matrix X |
| eig_sym(X) | eigen decomposition of a symmetric/hermitian matrix X |
| eig_gen(X) | eigen decomposition of a general (non-symmetric/non-hermitian) square matrix X |
| eig_pair(A, B) | eigen decomposition for pair of general square matrices A and B |
| inv(X)   | inverse of a square matrix X |
| inv_sympl(X) | inverse of symmetric positive definite matrix X |
| lu(L, U, P, X) | lower-upper decomposition of X, such that PX = LU and X = P'LU |
| null(X)  | orthonormal basis of the null space of matrix X |
| orth(X)  | orthonormal basis of the range space of matrix X |
| pinv(X)  | Moore-Penrose pseudo-inverse of a non-square matrix X |
| qr(Q, R, X) | QR decomposition of X, such that QR = X |
| qr_econ(Q, R, X) | economical QR decomposition |
| qz(AA, BB, Q, Z, A, B) | generalised Schur decomposition for pair of general square matrices A and B |
| schur(X) | Schur decomposition of square matrix X |
| solve(A, B) | solve a system of linear equations AX = B, where X is unknown |
| svd(X)   | singular value decomposition of X |
| svd_econ(X) | economical singular value decomposition of X |
| syl(X)   | Sylvester equation solver |

Table 4: Subset of functions for generating vectors and matrices, showing their main form.

| Function | Description |
|----------|-------------|
| linspace(start, end, n) | vector with n elements, linearly spaced from start up to (and including) end |
| logspace(A, B, n) | vector with n elements, logarithmically spaced from $10^A$ up to (and including) $10^B$ |
| regspace(start, Δ, end) | vector with regularly spaced elements: [ start, (start + Δ), (start + 2Δ), ..., (start + MΔ) ], where $M = \text{floor}((\text{end - start})/\Delta)$, so that (start + MΔ) ≤ end |
| randperm(n, m) | vector with m elements, with random integers sampled without replacement from 0 to n-1 |
| randu(nrows, ncols) | matrix with random values from a uniform distribution in the [0,1] interval |
| randn(nrows, ncols) | matrix with random values from a normal/Gaussian distribution with $\mu = 0$ and $\sigma = 1$ |
| zeros(nrows, ncols) | matrix with all elements set to zero |
| ones(nrows, ncols) | matrix with all elements set to one |
| Function                  | Description                                                                 |
|---------------------------|-----------------------------------------------------------------------------|
| abs(A)                    | obtain element-wise magnitude of each element of matrix A                   |
| accu(A)                   | accumulate (sum) all elements of matrix A into a scalar                    |
| all(A,dim)                | return a vector indicating whether all elements in each column or row of A are non-zero |
| any(A,dim)                | return a vector indicating whether any element in each column or row of A is non-zero |
| approx_equal(A, B, met, tol) | return a bool indicating whether all corresponding elements in A and B are approx.equal |
| ascalar(expression)       | evaluate an expression that results in a 1×1 matrix, then convert the result to a pure scalar |
| clamp(A, min, max)        | create a copy of matrix A with each element clamped to be between min and max |
| cond(A)                   | condition number of matrix A (the ratio of the largest singular value to the smallest) |
| conj(C)                   | complex conjugate of complex matrix C                                      |
| cross(A, B)               | cross product of A and B, assuming they are 3 dimensional vectors           |
| cumprod(A, dim)           | cumulative product of elements in each column or row of matrix A           |
| cumsum(A, dim)            | cumulative sum of elements in each column or row of matrix A               |
| det(A)                    | determinant of square matrix A                                            |
| diagmat(A, k)             | interpret matrix A as a diagonal matrix (elements not on k-th diagonal are treated as zero) |
| diagvec(A, k)             | extract the k-th diagonal from matrix A (default: k = 0)                   |
| diff(A, k, dim)           | differences between elements in each column or each row of A; k = number of recursions |
| dot(A,B)                  | dot product of A and B, assuming they are vectors with equal number of elements |
| eps(A)                    | distance of each element of A to next largest representable floating point number |
| expmat(A)                 | matrix exponential of square matrix A                                      |
| find(A)                   | find indices of non-zero elements of A; find(A > k) finds indices of elements greater than k |
| flipud(A)                 | copy A with the order of the rows reversed                                 |
| imag(C)                   | extract the imaginary part of complex matrix C                             |
| ind2sub(size(A), index)   | convert a linear index (or vector of indices) to subscript notation, using the size of matrix A |
| inplace_trans(A)          | in-place / in-situ transpose of matrix A                                   |
| join(rows(A, B), dim)     | append each row of B to its respective row of A                           |
| join(cols(A, B), dim)     | append each column of B to its respective column of A                      |
| kron(A, B)                | Kronecker tensor product of A and B                                        |
| log_det(x, sign, A)       | log determinant of square matrix A, such that the determinant is \(\exp(x)\) \(\text{sign} A\) |
| logmat(A)                 | complex matrix logarithm of square matrix A                                |
| min(A, dim)               | find the minimum in each column or row of matrix A                        |
| max(A, dim)               | find the maximum in each column or row of matrix A                        |
| nonzeros(A)               | return a column vector containing the non-zero values of matrix A          |
| norm(A,p)                 | \(p\)-norm of matrix A, with \(p = 1, 2, \ldots\), or \(p = "inf", "inf", "fro"\) |
| normalise(A, p, dim)      | return the normalised version of A, with each column or row normalised to unit \(p\)-norm |
| prod(A, dim)              | product of elements in each column or row of matrix A                     |
| rank(A)                   | rank of matrix A                                                          |
| rcond(A)                  | estimate the reciprocal of the condition number of square matrix A        |
| real(C)                   | extract the real part of complex matrix C                                  |
| remat(A, p, q)            | replicate matrix A in a block-like fashion, resulting in \(p \times q\) blocks of matrix A |
| reshape(A, r, c)          | create matrix with \(r\) rows and \(c\) columns by copying elements from A column-wise |
| resize(A, r, c)           | create matrix with \(r\) rows and \(c\) columns by copying elements and their layout from A |
| shift(A, n, dim)          | copy matrix A with the elements shifted by \(n\) positions in each column or row |
| shuffle(A, dim)           | copy matrix A with elements shuffled in each column or row                 |
| size(A)                   | obtain the dimensions of matrix A                                          |
| sort(A, direction, dim)   | copy A with elements sorted (in ascending or descending direction) in each column or row |
| sort_index(A, direction)   | generate a vector of indices describing the sorted order of the elements in matrix A |
| sqrtmat(A)                | complex square root of square matrix A                                     |
| sum(A, dim)               | sum of elements in each column or row of matrix A                         |
| sub2ind(size(A), row, col) | convert subscript notation \((row,col)\) to a linear index, using the size of matrix A |
| symmatu(A) / symmatl(A)    | generate symmetric matrix from square matrix A                             |
| trans(C)                  | simple matrix transpose of complex matrix C, without taking the conjugate |
| trans(A)                  | transpose of matrix A (for complex matrices, conjugate is taken); use \(A.t()\) for shorter form |
| trace(A)                  | sum of the elements on the main diagonal of matrix A                      |
| trapz(A, B, dim)          | trapezoidal integral of B with respect to spacing in A, in each column or row of B |
| trimatu(A) / trimatl(A)    | generate triangular matrix from square matrix A                            |
| unique(A)                 | return the unique elements of A, sorted in ascending order                |
| vectorise(A, dim)         | generate a column or row vector from matrix A                              |
Table 6: Element-wise functions: matrix $B$ is produced by applying a function to each element of matrix $A$.

| Function | Description |
|----------|-------------|
| $\exp(A)$ | base-e exponential: $e^x$ |
| $\exp_2(A)$ | base-2 exponential: $2^x$ |
| $\exp_{10}(A)$ | base-10 exponential: $10^x$ |
| $\text{trunc}_{\exp}(A)$ | base-e exponential, truncated to avoid $\infty$ |
| $\log(A)$ | natural log: $\log_e(x)$ |
| $\log_2(A)$ | base-2 log: $\log_2(x)$ |
| $\log_{10}(A)$ | base-10 log: $\log_{10}(x)$ |
| $\text{trunc}_{\log}(A)$ | natural log, truncated to avoid $\pm \infty$ |
| $\text{pow}(A, p)$ | raise to the power of $p$: $x^p$ |
| $\text{square}(A)$ | square: $x^2$ |
| $\sqrt{A}$ | square root: $\sqrt{x}$ |
| $\text{floor}(A)$ | largest integral value that is not greater than the input value |
| $\text{ceil}(A)$ | smallest integral value that is not less than the input value |
| $\text{round}(A)$ | round to nearest integer, with halfway cases rounded away from zero |
| $\text{trunc}(A)$ | round to nearest integer, towards zero |
| $\text{erf}(A)$ | error function |
| $\text{erfc}(A)$ | complementary error function |
| $\text{lgamma}(A)$ | natural log of the gamma function |
| $\text{sign}(A)$ | signum function; for each element $a$ in $A$, the corresponding element $b$ in $B$ is: $b = \begin{cases} -1 & \text{if } a < 0 \\ 0 & \text{if } a = 0 \\ +1 & \text{if } a > 0 \end{cases}$ |
| $\text{trig}(A)$ | trignometric function, where $\text{trig}$ is one of: $\cos, \acos, \cosh, \acosh, \sin, \asin, \sinh, \asinh, \tan, \atan, \tanh, \atanh$ |

Table 7: Subset of functions for statistics, showing their main form. For functions with the $\text{dim}$ argument, $\text{dim} = 0$ indicates traverse across rows (ie. operate on all elements in a column), while $\text{dim} = 1$ indicates traverse across columns (ie. operate on all elements in a row); by default $\text{dim} = 0$.

| Function/Class | Description |
|----------------|-------------|
| $\text{cor}(A, B)$ | generate matrix of correlation coefficients between variables in $A$ and $B$ |
| $\text{cov}(A, B)$ | generate matrix of covariances between variables in $A$ and $B$ |
| $\text{hist}(A, \text{centers}, \text{dim})$ | generate matrix of histogram counts for each column or row of $A$, using given bin centers |
| $\text{histc}(A, \text{edges}, \text{dim})$ | generate matrix of histogram counts for each column or row of $A$, using given bin edges |
| $\text{kmeans}(\text{means}, A, k, ...)$ | cluster column vectors in matrix $A$ into $k$ disjoint sets, storing the set centers in $\text{means}$ |
| $\text{princomp}(A)$ | principal component analysis of matrix $A$ |
| $\text{running\_stat}$ | class for running statistics of a continuously sampled one dimensional signal |
| $\text{running\_stat\_vec}$ | class for running statistics of a continuously sampled multi-dimensional signal |
| $\text{mean}(A, \text{dim})$ | find the mean in each column or row of matrix $A$ |
| $\text{median}(A, \text{dim})$ | find the median in each column or row of matrix $A$ |
| $\text{stddev}(A, \text{norm\_type}, \text{dim})$ | find the standard deviation in each column or row of $A$, using specified normalisation |
| $\text{var}(A, \text{norm\_type}, \text{dim})$ | find the variance in each column or row of matrix $A$, using specified normalisation |

Table 8: Subset of functions for signal and image processing, showing their main form.

| Function/Class | Description |
|----------------|-------------|
| $\text{conv}(A, B)$ | 1D convolution of vectors $A$ and $B$ |
| $\text{conv2}(A, B)$ | 2D convolution of matrices $A$ and $B$ |
| $\text{fft}(A, n)$ | fast Fourier transform of vector $A$, with transform length $n$ |
| $\text{ifft}(C, n)$ | inverse fast Fourier transform of complex vector $C$, with transform length $n$ |
| $\text{fft2}(A, \text{rows}, \text{cols})$ | fast Fourier transform of matrix $A$, with transform size of $\text{rows}$ and $\text{cols}$ |
| $\text{ifft2}(C, \text{rows}, \text{cols})$ | inverse fast Fourier transform of complex matrix $C$, with transform size of $\text{rows}$ and $\text{cols}$ |
| $\text{interp1}(X, Y, XI, YI)$ | given a 1D function specified in vectors $X$ (locations) and $Y$ (values), generate vector $YI$ containing interpolated values at given locations $XI$ |
| $\text{interp2}(X, Y, Z, XI, YI, ZI)$ | given a 2D function specified by matrix $Z$ with coordinates given by vectors $X$ and $Y$, generate matrix $ZI$ containing interpolated values at coordinates given by vectors $XI$ and $YI$ |
Table 9: Examples of Matlab/Octave syntax and conceptually corresponding PyArmadillo syntax. Note that for submatrix access the exact conversion from Matlab/Octave to PyArmadillo syntax will require taking into account that indexing starts at 0.

| Matlab & Octave | PyArmadillo | Notes |
|-----------------|-------------|-------|
| A(1, 1)         | A[0, 0]     | indexing in PyArmadillo starts at 0, following Python convention |
| A(k, k)         | A[k-1, k-1] |       |
| size(A,1)       | A.n_rows    | member variables are read only |
| size(A,2)       | A.n_cols    |       |
| size(Q,3)       | Q.n_slices  | Q is a cube (3D array) |
| numel(A)        | A.n_elem    | .n_elem indicates the total number of elements |
| A(:, k)         | A[:, k]     | read/write access to a specific column |
| A(k, :)         | A[k, :]     | read/write access to a specific row |
| A(p:q,:)        | A[p:q, :)   | read/write access to a submatrix spanning the specified rows |
| A(:, p:q)       | A[:, p:q]   | read/write access to a submatrix spanning the specified cols |
| A(p:q, r:s)     | A[p:q, r:s] |       |
| Q(p:q, r:s, t:u)| Q[p:q, r:s, t:u] | Q is a cube (3D array) |
| Q(:, :, k)      | Q[:, :, k]  | access one slice |
| Q(:, :, k)      | Q[single_slice, k] | access one slice, with the slice provided as a matrix |
| A′              | A.t() or trans(A) | transpose (for complex matrices the conjugate is taken) |
| A′              | A.st() or strans(A) | simple transpose (for complex matrices the conjugate is not taken) |
| A = zeros(size(A)) | A.zeros()   | set all elements to zero |
| A = ones(size(A)) | A.ones()    | set all elements to one |
| A = zeros(k)    | A = zeros(k, k) | create a matrix with elements set to zero |
| A = ones(k)     | A = ones(k, k) | create a matrix with elements set to one |
| C = complex(A,B) | C = cx_mat(A,B) | construct a complex matrix from two real matrices |
| A * B           | A * B       | * indicates matrix multiplication |
| A .* B          | A @ B       | @ indicates element-wise multiplication |
| A / B           | A / B       | / indicates element-wise division |
| A \ B           | solve(A,B)  | solve a system of linear equations |
| A = A + 1       | A += 1      |       |
| A = A - 1       | A -= 1      |       |
| A = [ 1 2; 3 4 ]; | A = mat([ [ 1, 2 ], [ 3, 4 ] ]) |       |
| X = [ A; B ]    | X = join_rows(A,B) |       |
| X = [ A, B ]    | X = join_cols(A,B) |       |
| A               | A.print("A:"); print the entire contents of A |
| save -ascii ‘A.txt’ | A.save("A.txt", raw_ascii) | Matlab/Octave matrices saved as ascii text are readable by PyArmadillo (and vice-versa) |
| load -ascii ‘A.txt’ | A.load("A.txt", raw_ascii) |       |
| A = rand(2,3)   | A = randu(2,3) | randu generates uniformly distributed random numbers |
| B = randn(4,5)  | B = randn(4,5) |       |
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