Suppression of star formation in dwarf galaxies by photoelectric grain heating feedback

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Photoelectric heating—heating of dust grains by far-ultraviolet photons—has long been recognized as the primary source of heating for the neutral interstellar medium. Simulations of spiral galaxies² have shown some indication that photoelectric heating could suppress star formation; however, simulations that include photoelectric heating have typically shown that it has little effect on the rate of star formation in either spiral galaxies³–⁴ or dwarf galaxies⁵, which suggests that supernovae are responsible for setting the gas depletion time in galaxies⁶–⁸. This result is in contrast with recent work⁹–¹³ indicating that a star formation law that depends on galaxy metallicity—as is expected with photoelectric heating, but not with supernovae—reproduces the present-day galaxy population better than does a metallicity-independent one. Here we report a series of simulations of dwarf galaxies, the class of galaxy in which the effects of both photoelectric heating and supernovae are expected to be strongest. We simultaneously include space- and time-dependent photoelectric heating in our simulations, and we resolve the energy-conserving phase of every supernova blast wave, which allows us to directly measure the relative importance of feedback by supernovae and photoelectric heating in suppressing star formation. We find that supernovae are unable to account for the observed¹⁴ large gas depletion times in dwarf galaxies. Instead, photoelectric heating is the dominant means by which dwarf galaxies regulate their star formation rate at any given time, suppressing the rate by more than an order of magnitude relative to simulations with only supernovae.

To investigate whether the depletion times in dwarf galaxies, which are longer than those for Milky-Way-like galaxies by more than an order of magnitude¹⁴,¹⁵, are set by the momentum injection from supernovae or by photoelectric heating, we perform a series of high-resolution hydrodynamic simulations using the Enzo adaptive mesh refinement code¹⁶. We additionally include a prescription for supernova and pre-supernova stellar feedback, and a method for self-consistent, spatially dependent photoelectric heating (see Methods). We use two sets of initial conditions. Both correspond to isolated dwarf galaxies with an initially laminar gas disk with a gas surface density profile that falls off exponentially, a stationary hot halo, and collisionless particles representing stars and dark matter. The galaxies have a dark matter halo mass of 10¹⁰ solar masses (M⊙), a stellar mass of 10⁷M⊙ and an observationally motivated¹⁷ cold gas mass of 10⁸M⊙. Galaxies in this mass range are comfortably above the limit at which star formation can be quenched by the cosmological ultraviolet background¹⁸, but small enough that the effects of heating by far-ultraviolet photons and supernova feedback¹⁹ are plausibly extreme. The initial conditions differ in the exponential scale-length chosen for the gas. One set uses 5 kpc, which is designed to mimic recently discovered, nearly starless galaxies²⁰, and which is towards the high end of the range observed for field dwarf galaxies²¹; the other set uses 1 kpc, which is towards the low end of the observed field dwarf range.

For a galaxy with an H I mass of 10⁸M⊙ and assuming an exponential H I profile, the observed relation²¹ between H I mass and H I size suggests an H I scale-length of about 1.9 kpc.

To understand how supernovae and photoelectric heating each contribute to the evolution of these galaxies, we perform a straightforward numerical experiment. We run a fiducial simulation, starting from initial conditions with a 5-kpc gas scale-length, that includes supernovae and photoelectric heating, and simulations for which each of these effects is turned off in turn. We refer to these as the ‘SN + PE’, ‘PE only’, ‘SN only’ and the ‘no feedback’ simulations. We also run the ‘SN + PE’, ‘PE only’ and ‘no feedback’ cases for initial conditions with a 1-kpc scale-length. The simulations with supernovae also include pre-supernova stellar feedback from winds and H II regions. For the 5-kpc case, we re-run the simulations of the four feedback models at three maximum spatial resolutions: 10 pc, 5 pc and 2.5 pc. These resolutions are high enough, and the typical densities in which supernovae explode in these simulations are low enough, that our simulations do not suffer from the overcooling problem²², whereby poorly resolved simulations overestimate the rate at which supernova-heated gas cools (see Extended Data Fig. 1). We focus first on the 10-pc-resolution simulations with the 5-kpc initial conditions, because we ran these for the longest time. In Methods, we compare all our simulations to the higher resolution runs of the ‘SN only’ and ‘PE only’ cases.

Figure 1 | The morphology of the gas. For each of the simulations, the surface density after 90 Myr of evolution, starting from initial conditions with a 5-kpc scale-length, is integrated between ±200 pc in the y dimension (top panels) and in the z dimension (bottom panels). The morphology of the disk is essentially determined by the presence of supernovae, despite the fact that the ‘PE only’ and ‘PE + SN’ runs have nearly identical star formation rates (Fig. 2). The star formation rate in the ‘SN only’ simulation is an order of magnitude higher than that in the ‘PE + SN’ simulation, which is why the outflow and the disruption of the cold disk are more striking in the former.
The long depletion times frequently observed in dwarfs (see Extended Data Fig. 2) are reproduced when photoelectric heating and supernova feedback are both included (‘PE + SN’, black lines). Turning off supernova feedback has almost no effect (compare the red and black lines), which implies that photoelectric heating alone is responsible for the long depletion times in the simulations. More compact galaxies (1-kpc initial scale-length; thin lines) have higher star formation rates and shorter depletion times than do less compact galaxies (5-kpc initial scale-length; thick lines), but, as in the extended case, photoelectric heating remains the dominant effect.

Resolution runs to evaluate the level of convergence of our results. We compare the 5-kpc and 1-kpc initial conditions below.

We find that all of the simulations follow a similar initial transient behaviour. The gas disk cools from its centre outwards, causing the disk to collapse vertically. Stars form first in the centre, then further and further out. The central region of the galaxy after 90 Myr is shown (with the aid of the yt package23) in Fig. 1, for each of the feedback models. In terms of large-scale morphology, the supernovae have the most noticeable effect, driving large outflows with mass loading factors of the order of 10. Photoelectric heating slightly alters the global structure of the gas, but the two simulations without supernovae look quite similar.

Figure 2 shows the star formation rates and depletion times as a function of time for each of the four feedback models. Each simulated galaxy experiences an initial transient period as the gas collapses from its initial state; however, the subsequent instantaneous star formation rates and depletion times of the galaxies are markedly different depending on whether photoelectric heating was included or not. By contrast, two simulations that differ only in their inclusion of supernova feedback result in similar depletion times. This immediately shows that photoelectric heating, not feedback from supernovae, is primarily responsible for the long depletion times observed in dwarf galaxies. Supernovae, or even a lack of photoelectric heating, can result in low star formation rates in the long run by rapidly ejecting gas or by locking gas into stellar remnants, respectively. This can be seen in the central kiloparsecs of the simulations without photoelectric heating: the star formation rate decreases in this region, but the depletion time is relatively unaffected. Only the simulations including photoelectric heating produce depletion times in reasonable agreement with the large values frequently observed in dwarf galaxies, as illustrated in Extended Data Fig. 2.

We also check the dependence of our results on the gas scale-length. In Fig. 2, the thin lines show the results for our simulations with a 1-kpc gas scale-length. We find that the more compact galaxies have higher star formation rates and shorter depletion times than do less compact galaxies, which explains the wide range of depletion times visible in the observational data. However, even for the 1-kpc simulations we find that the star formation rate is virtually unaffected when supernovae are disabled while keeping photoelectric heating active. By contrast, disabling photoelectric feedback causes the depletion time to decrease by an order of magnitude, to values that are inconsistent with the observed sample. This indicates that photoelectric heating, not supernovae, regulates star formation over a wide range of gas surface density in dwarf galaxies, and not just in the potentially extreme20,24, nearly starless dwarf galaxies.

The means by which photoelectric heating suppresses star formation in our simulations is simple and intuitive. When a new star cluster is formed in the simulation, its most massive stars will emit photons with energies of 8–13.6 eV. These photons dominate the heating rate, owing to the grain photoelectric effect, because they have energies high enough to liberate electrons from dust grains, but low enough not to be absorbed by intervening neutral hydrogen (Fig. 3). The heating rate in the vicinity of a newly formed star increases the equilibrium temperature of the gas at fixed pressure or density. This in turn increases the Jeans mass of the gas and makes star formation more difficult (Fig. 4).

We conclude that the physics responsible for setting the instantaneous star formation law in dwarf galaxies—that is, the depletion time—is nearly independent of the physics determining the properties of the outflows. Ultimately young stars are responsible for photoelectric
heating and supernovae, but it is the moderate, local, instantaneous, volumetric heating of the former that controls the depletion time. Supernovae, despite their ability to eject mass from the galaxy at a rate larger than the star formation rate, are unable to shut down star formation locally and instantaneously. In the long run, even though dwarf galaxies have 10–100 Gyr depletion times, large mass loading factors mean that the timescale on which gas is lost from the interstellar medium is shorter—between 1 Gyr and 10 Gyr—implying that these galaxies may be in equilibrium between gas inflow and star formation plus outflows\(^{25–27}\). Therefore, the star formation rate in these galaxies would ultimately be set by the value of the mass loading factor, whereas the mass of gas in the interstellar medium would be set by the depletion time. In turn, the mass loading factor is set by supernovae and the depletion time by photoelectric heating.

Online Content Methods, along with any additional Extended Data display items and Source Data, are available in the online version of the paper; references unique to these sections appear only in the online paper.

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Figure 4 The effect of photoelectric heating. Snapshots of the 5-kpc SN + PE simulation in 1.5-Myr intervals showing the surface density of gas in grayscale. The red contours show regions where the density is at least 80% of the threshold density for forming stars at the temperature of the gas (the Jeans density). Star particles formed within the 20 Myr preceding each snapshot are shown as crosses, with darker colours indicating younger stars. The stars indicated by black arrows, which formed between the first and second snapshots, have heated nearby gas by the third snapshot, preventing further star formation. Supernova remnants (indicated by white arrows) have clear morphological signatures, but do not substantially affect star formation.
METHODS

Our simulations follow the evolution of an isolated dwarf galaxy for approximately 100 Myr using the adaptive mesh refinement code Enzo. We use a piecewise-parabolic mesh hydrodynamics solver, with an HLLC Riemann solver to follow the motion of the gas. The gravitational potential is computed on the same mesh used to solve the hydrodynamics. Dark matter and stars are included as collisionless particles acting independently of the hydrodynamics, except when new particles are formed or existing particles inject mass, metals and energy back into the gas according to their different models.

We use the same sort of initialization as in previous work, although with parameters appropriate for a dwarf galaxy. In particular, we create a set of stellar and dark matter particles with the MakeGalaxy code. The density of a stellar disk and bulge are pre-specified, and their velocities are set so that the galaxy begins in approximate Jeans equilibrium. The dark matter has an initial Hernquist profile. We use a halo mass of $10^8 M_{\odot}$, a concentration of 10, a spin parameter of 0.04, a stellar mass of $10^5 M_{\odot}$, and a stellar scale-length of 300 pc.

We initialize the density of the gas disk as a function of cylindrical radius $r$ and height $z$ according to

$$\rho_g(r,z) = \rho_0 \exp \left(-\frac{r}{d}\right) \exp \left(-\frac{|z|}{H}\right)$$

(1)

where $\rho_0$ is a normalizing constant chosen to set the initial gas mass of the disk, $r_d$ is the scale-length and $H$ is the scale-height. Equation (1) applies until the putative disk pressure $k T_d$ (where $T_d$ is the temperature of the disk) falls below the halo pressure $k T_h$, at which point the density and temperature of each cell are set to those of the halo, $\rho_h$ and $T_h$, respectively. Although, $\rho_h$ is spatially dependent, $\rho_0, T_d$ and $T_h$ are all taken to be constant. In these simulations we set $T_h = 10^5$ K, $T_d = 10^4$ K, $\rho_h = 2.34 \times 10^{-30}$ cm$^{-3}$ and $\rho_0 = 1.41 \times 10^{-24}$ cm$^{-3}$. The scale-length and scale-height of the disk are $r_d = 5$ kpc for most simulations and $H = 30$ pc, respectively. A number of simulations in the main text use $r_d = 1$ kpc.

These initial conditions are chosen to minimize the time the disk spends in its initial collapse phase and the influence of the galactic halo on the dynamics. In particular, at this temperature the halo does not monolithically cool onto the galaxy over the timescale on which the simulation is run.

These initial conditions are evolved under the influence of hydrodynamics, gravity and cooling, with additional subgrid prescriptions for the creation of new star particles and feedback from young stars, specifically stellar winds, type II supernovae and a rough treatment of heating from photoionization. We also include a prescription for self-consistently calculating the volumetric heating rate from the grain photoelectric effect.

Feedback. Our feedback prescription is designed to avoid the ad hoc modifications to the physics that are typically necessary to produce feedback strong enough to affect the properties of the galaxy. Our goal is to show that none of these modifications is necessary to have effective feedback at sufficiently high resolution. The basic physical picture is that once the adiabatic radius of the supernovae can be resolved, they will expand in a somewhat realistic way, rather than immediately losing all their energy to the cell, as in the famous overheating problem.

When each star particle is formed in the simulation with initial mass $M_p$, we draw a number from a Poisson distribution to determine how many type II supernovae will be produced by the particle. The rate parameter of this Poisson distribution is taken to be $\lambda = 1.104 M_{\odot}/(10^8 M_{\odot})$, where the prefactor is the number of supernovae produced over the lifetime of a $10^8 M_{\odot}$ stellar population formed in a burst of star formation according to Starburst99 (ref. 30) using a Chabrier initial mass function.

For each supernova produced, we next draw a number from the delay-time distribution of type II supernovae, again determined from the output of Starburst99. This is essentially just the convolution of the lifetime of massive stars with the initial supernova rate. At the hydrodynamic time step during which the supernova explodes, we add $10^{51}$ erg to the internal energy of the cell in which the supernova resides. The mass of ejecta and its metallicity are also determined from Starburst99. This is essentially just the convolution of the lifetime of massive stars with the initial supernova rate. The mass and energy of ejecta are taken from the output of Starburst99 and are fit to piecewise-polynomial functions for use in Enzo. To ensure that the supernova goes off on the highest level of refinement in the simulation, we make the star particles ‘must refine’ if the particle has any supernovae remaining in its future. This means that the cells containing such particles are marked for refinement to the highest resolution level, guaranteeing that they, and at least the surrounding two cells in each direction, will be on the highest resolution level.

In addition to the energy from the supernovae added to the cell at the appropriate time step, we also add energy to the cell before the supernova itself. From the delay time for each supernova, we infer the mass of the star that will be exploding, from which we can estimate the total ionizing luminosity for the particle by adding up the contribution from every massive star that has yet to explode in that particle. Given an ambient density, that is, the density in the surrounding gas cell, we may then estimate the volume of gas that can be ionized by the calculated luminosity, as in the standard Strömgren analysis. If this volume is larger than the cell, and the cell has a temperature below $10^4$ K, internal energy is added to the cell to set the temperature to $10^4$ K. The cell is not modified by this photoionization prescription if its temperature is above $10^4$ K.

For cells with Strömgren volumes smaller than the cell volume, we compute the internal energy of the Strömgren sphere and compare it to the internal energy across the entire volume of the cell. If the whole cell has less internal energy than the Strömgren sphere alone, then we add internal energy to the cell to make the two equal; otherwise we do nothing.

This treatment of photoionization feedback is extremely conservative. In the limit of small cell sizes or low densities, we may vastly underestimate the size of the H II region, because only one cell will be at $10^4$ K. In the limit of high density or large cells, the total energy being injected into the gas is also conservative, in that the energy of the cell is changed only if the entire internal energy of the cell is smaller than the internal energy associated with the Strömgren sphere on its own.

In addition to photoionization, we include feedback from stellar winds. Once again we rely on Starburst99 to compute the wind luminosity, with several small modifications. The specific energy of the wind is taken from Starburst99 only when the particle will in the future experience a supernova from the death of a star with a delay time less than 10 Myr. If no such supernovae will explode in the future, then the cell still loses mass to winds, but their specific energy is set to $(10 \text{ km s}^{-1})^2$. This bifurcation in wind temperatures takes place in the Universe as a result of a sharp change in opacity in the atmospheres of stars as a function of mass.

One additional change we make to the specific energy of the wind occurs right at the beginning of the life of the star particle. During this time, the most massive stars in the population drive extremely hot winds, exceeding $10^7$ K. When the outflowing winds dominate the material in a single cell, as sometimes happens in our simulations, this high temperature can substantially slow down the simulation and cause other numerical problems associated with a high density contrast. To ameliorate this issue we cap the wind specific energy at $10^5$ K. We keep the total wind energy injected constant by slightly increasing the mass lost during this time. This changes the total mass returned only by a tiny amount because this phase is so short.

Extended Data Fig. 1 shows that every supernova in the 10-pc-resolution simulation with the 5-kpc initial scale-length explodes in a cell with a density below the critical density at which a supernova remnant would cool before expanding to be the size of a single cell in the simulation. We calculate this critical density by adopting the following value for the radius at which a supernova remnant exits the Sedov phase and enters the pressure-driven snowplow (PDS) phase

$$R_{\text{PDS}} = \frac{4 \pi}{3} \left( \frac{E_{\text{SN}}}{n_{\text{H}}^2 (Z/Z_{\odot})^{1/2}} \right)^{1/2} \text{pc}$$

We take the energy of the supernova in units of $10^{51}$ erg to be $E_{\text{SN}} = 1$, and set the mass fraction of elements heavier than helium to a value appropriate for the Sun, $Z = Z_{\odot} = 0.02$. In our initial conditions, the disk component has $Z/Z_{\odot} = 0.1$ and the halo has $Z/Z_{\odot} = 0.01$, but for the purposes of calculating the critical density we use a higher value because supernovae produce enough metals that locally $Z$ may be substantially higher than its initial value. By setting $R_{\text{PDS}}$ to the size of a single cell in the simulation, we can solve for the value of $n_\text{H}$ (the number density of hydrogen atoms in units of cm$^{-3}$) at which the PDS phase would be marginally resolved.

By resolving this crucial piece of physics in these galaxies, we find that our results are relatively insensitive to the resolution at which we run the simulations.

We compare the depletion time for each physical scenario, run at 10-pc, 5-pc and 2.5-pc resolution, in Extended Data Fig. 3, and we find that the results of the simulations tend to become independent of resolution after roughly 100 Myr of evolution. This is less clear for the runs that include supernovae, for which the 2.5-pc simulations have not advanced as far as their lower-resolution counterparts; but even here there is reasonable agreement between the 10-pc and 5-pc runs.

Photoelectric heating. Far-ultraviolet (FUV) photons from young stars liberate electrons from dust grains in the interstellar medium. This is the primary means by which the neutral atomic gas in the interstellar medium is heated in the Milky Way. To include it in our simulation, we assume the following proportionality:

$$\Phi \propto F_{\text{FUV}} Z_{\odot} n_{\text{H}} \text{ erg s}^{-1} \text{ cm}^{-3}$$

The heating rate $\Phi$ from FUV photons is proportional to their flux $F_{\text{FUV}}$, and the density of metals $Z_{\odot}$. At low densities and high temperatures, there is an additional dependence on the electron density and gas temperature, but these effects are negligible in the cold, dense gas where FUV heating is important for suppression of star formation, so we omit that effect. We also do not include cosmic ray heating, because this is roughly an order of magnitude less important than FUV heating under the optically thin conditions that prevail in the low density, dust poor galaxies we are simulating.
We calculate the FUV flux in the simulation by taking the luminosity $L$ for each star particle to be

$$\log_{10}[L(t)] = \log_{10}[M_P/(10^7 M_\odot)] + \left\{ \begin{array}{ll}
\sum_{i=0}^5 p_i t_i^i & \text{if } t_i < 3 \\
\sum_{i=0}^4 q_i t_i^i & \text{if } 3 \leq t_i < 10 \\
0 & \text{otherwise}
\end{array} \right. \ (2)$$

where $t_i$ is the age of the star particle in units of $10^7$ yr, and $M_P$ is the mass of the star particle. $L$ is in units of erg s$^{-1}$. The coefficients of polynomials ($p_i$ and $q_i$) are given in Extended Data Table 1. This expression is the result of integrating the output spectrum of a Starburst99 single-burst model for a cluster mass of $10^6 M_\odot$ (hence the pre-factor in equation (2)) over the range 5–13.6 eV at finely spaced time intervals out to 100 Myr. This function is somewhat sensitive to the initial mass function—recent indications of a bottom–light initial mass function$^{33}$ in dwarfs would increase it by a factor of approximately two.

The FUV flux is then simply $F_{\text{FUV}} = L(t)/(4\pi r^2)$, where $r$ is the three-dimensional distance from the centre of the gas cell in question to the star in question. This expression for $F_{\text{FUV}}$ neglects any effects from self-shielding, which should be negligible in the galaxies we have simulated, given their low column densities and low metallicities. The total FUV flux at a given cell is the sum of this quantity over all stars in the simulation. If a given star's contribution to the FUV flux varies by less than 10% across a given grid (the computational element one step above cells in Enzo), then we approximate the contribution of that star as constant across the grid, to avoid doing the full order $N$ by $M$ computation (where $N$ is the number of cells and $M$ is the number of particles) in regions far from FUV-emitting particles. To compute $\Phi_{\text{FUV}}$, we scale $\Phi_{\text{HII}}, F_{\text{FUV}}$ and $Z$ to the known values of these quantities in the solar neighbourhood:

$$\frac{\Phi}{\Phi_{\odot}} = 8.5 \times 10^{-26} \text{ erg s}^{-1} \text{ cm}^{-2} \text{ m}^{-2} \times \frac{F_{\text{FUV}}}{F_{\odot}} \times Z / Z_{\odot}$$

The numerical constant in the denominator is the Habing$^{34}$ estimate of the intensity of the interstellar radiation field in the solar neighbourhood, multiplied by $c$ (the speed of light) to convert to a flux. The pre-factor of $8.5 \times 10^{-26}$ is the photo-electric heating rate normalized to the Habing value for the solar neighbourhood from a radically dependent model of the interstellar medium of the Milky Way$^{35}$. This quantity is computed for each cell in the simulation, and fed to the Grackle library, which computes the rate of change of the internal energy density$^{36,37}$. An example of $\Phi_{\text{HII}}$ in the ‘PE only’ simulation is shown in Fig. 3.

This method is a substantial improvement over many current implementations of the interstellar radiation field. Many simulations do not include this source of diffuse heating at all. Some include it as constant throughout the simulation volume$^{38}$, sometimes with a correction for self-shielding$^{39}$, but without regard to the individual sources or time–dependence of the FUV photons. Other simulations explicitly approximate the radiative transfer of these photons$^{40}$, but while even further and explicitly modeling the dust particles via which this radiation interacts with the gas$^{2,3,40}$, although the last two methods are better approximations to the interstellar radiation field than what we have implemented here, our simulations have a higher resolution. As a result, we resolve the Sedov–Taylor phase of the supernovae (Extended Data Fig. 1) and, hence, can definitively show whether supernova feedback or the interstellar radiation field is dominant in the regulation of star formation in dwarf galaxies.

**Star formation.** The star formation prescription we use is similar to many commonly used schemes. At each time step, the probability of forming a star in each cell is taken to be

$$P_\star = \begin{cases} 0 & \text{if excluded} \\
\min \left[ 1, \frac{\partial M_{\text{cell}}}{\partial t} \frac{M_\odot}{M_{\text{supp}}} \right] & \text{otherwise}
\end{cases}$$

where $\partial t$ is the simulation time step (at the refinement level in question), $t_\star$ is the efficiency of star formation per free fall time, $M_{\text{cell}}$ is the mass of gas in the computational cell, and the free fall time $t_{\text{ff}} = (3\pi/32G)^{-1/2}$. Cells are excluded if their mass is less than the Jeans mass in that cell or if the cell is not on the maximum refinement level. In other words, cells must have a density

$$\rho > \frac{\gamma \kappa T}{N_1^2 \Omega_{\text{box}} (\Delta x)^3}$$

to form stars. Here $\gamma = 5/3$ is the ratio of specific heats, $\kappa$ is the Boltzmann constant, $\mu$ is the mean molecular weight in units of the hydrogen mass $m_1$, $\Delta x$ is the size of the cells on the maximum refinement level, $G$ is the gravitational constant and $N_1 = 4$ is the number of cells by which we require that the Jeans length be resolved throughout the simulation to avoid artificial fragmentation$^{41}$. This criterion corresponds to a diagonal line in the density–temperature phase diagram above which stars are not allowed to form (Extended Data Fig. 4). The value of $\rho$ is such that the average star formation rate in the non-excluded cells follows a volumetric Schmidt Law:

$$\rho = \varepsilon \rho_0/t_{\text{ff}}.$$  
This model has a few parameters that we must set, although we argue that we do not have a huge amount of freedom to change them.

The efficiency per free fall time is constrained by observations to be within a factor of a few of 0.01 (refs 42, 43), so we simply adopt this central value. The mass of individual star particles $M_\star$ should in principle be low enough to be irrelevant—this would have the advantage of sampling the star formation rate density very well. This is the case if and only if the cell were Jeans unstable. This introduces two numerical difficulties. The first is that the Jeans mass for the coldest gas in our simulations can be comparable to the mass of a single star. It would be problematic for our feedback recipe to form such low-mass stars, in that a 10$M_\odot$ star or a supernova that ejects 10$M_\odot$ of material could never exist within a 10$M_\odot$ particle. Moreover, the number of star particles we would have to follow increases as $N_\star^3$. Each of these issues would be avoided by choosing a large particle mass. However, using a large mass increases the chance that the cell in which the star formed would have insufficient mass to supply all of the gas needed to form the particle. When this happens, to maintain global mass conservation, we gather the mass from neighbouring cells. Each cell supplying gas contributes the same fraction of its mass to the new particle. We have found that a particle mass of $M_p = 50 M_\odot$ constitutes a reasonable balance between keeping star formation local to one cell and keeping the supernova ejecta mass less than the mass of a single star particle.  

**Comparison to observations.** In Extended Data Fig. 2, we compare the star formation rate and depletion time of the simulations to those of dwarf galaxies from three different samples$^{42,43,44}$. We exclude four blue, compact dwarf galaxies from this sample, because these are known to be undergoing starbursts. We do not include estimates for the errors on each point. The statistical standard errors are of the order of 10%, but this underpredicts the true error, which is dominated by systematic uncertainty in distance ($H_0$ and/or the mass–formation rate) and the assumptions made in converting ultraviolet or H$\alpha$ luminosities to star formation rates$^{45}$. For the two smaller galaxies in ref. 20, no upper limits are given on the star formation rate; but, because they are not detected in the same H$\alpha$ image in which a star formation rate of $4 \times 10^{-3}$ $M_\odot$ yr$^{-1}$ was measured for the largest galaxy in the sample, we take this as a very conservative upper limit on the star formation rate for these two galaxies (S. Janowiecki, private communication).

**Data availability.** The numerical experiments presented here were run with a fork of the Enzo code, available from https://bitbucket.org/forbes/enzo-dev-forbes; in particular, change set daed04d1e5e6. This altered version of Enzo also requires an altered version of the Grackle cooling library, available from https://bitbucket.org/jforbes/grackle, in particular, change set 12d3856e. A subset of the raw data files is available from https://www.johnforbes.com/dwarfs.html.
Extended Data Figure 1 | Supernovae are well-resolved. The cumulative distribution of the density of cells in which supernovae explode is shown in red, and that in which stars form is shown in blue. The thin lines show these distributions in different 10-Myr intervals, while the thick lines show the cumulative density function over the entire simulation. The vertical dashed line indicates the density at which a supernova remnant would radiate all of its energy before it expanded to the size of a single cell (10 pc) in the simulation, assuming solar metallicity. Nearly every supernova in the simulation occurs to the left of this line, indicating that the simulation does not suffer from the overcooling problem.
Extended Data Figure 2 | Comparison to observations. a, b, Star formation properties (a, depletion time; b, star formation rate (SFR)) for a heterogeneous set\textsuperscript{14,20,24} of galaxies are shown as a function of gas mass $M_{\text{HI}}$. Upper and lower limits are indicated with arrows. Boxes representing the range of values covered by our simulations are over-plotted. The vertical range of the box is determined by the final snapshot for each simulation; the high (low) SFR extremum represents the 1-kpc (5-kpc) disk. No ‘SN only’ simulation was run for the 1-kpc case, so the blue box is not closed. Only simulations that include photoelectric heating agree with the depletion times observed for bulk of galaxies in the mass range we simulated. See Methods section ‘Comparison to observations’ for more details.
Extended Data Figure 3 | A resolution study. a–d, The depletion time of all 12 simulations with 5-kpc gas scale-length is plotted over time. The four feedback models are shown (a, 'no feedback', grey; b, 'PE only', red; c, 'SN only', blue; d, 'SN + PE', black), with the line style indicating the result for different resolutions (see legend). The orange lines show the depletion time when the measurement is carried out in a cylinder with 1-kpc radius; the other lines use a 9-kpc radius. Regardless of the aperture, the simulations quickly converge; differences between simulations with factor-of-two differences in resolution are small compared to the differences resulting from changing the physics.
Extended Data Figure 4 | Phase diagrams after 90 Myr of evolution. Runs with different feedback models and 5-kpc gas scale-length are shown, all at 10-pc resolution. The light blue diagonal lines show the threshold for star formation, at which the gas becomes Jeans unstable on the highest refinement level. The black lines trace where the net cooling rate is zero, assuming different values for the volumetric heating rate, from $10^{-26}$ erg s$^{-1}$ (highest line) to $10^{-29}$ erg s$^{-1}$ (lowest line). Photoelectric heating raises the typical temperature of gas near the star formation threshold such that moderate star formation can stabilize nearby gas against collapse.
### Extended Data Table 1 | Parameters for a fit

| j  | \( p_j \)          | \( q_j \)          |
|----|--------------------|--------------------|
| 0  | 41.5709926107      | 40.7875024388      |
| 1  | 2.40501751872      | -0.227682606645    |
| 2  | -9.19544984847     | 0.0078916423535    |
| 3  | 10.5203892767      | 0                  |
| 4  | -5.72637964222     | 0                  |
| 5  | 1.50479521662      | 0                  |
| 6  | -0.153355377095    | 0                  |

Coefficients for the piecewise-polynomial fit to the FUV luminosity of a simple stellar population as a function of its age (Methods, equation (2)).