Biologically Inspired Robot Arm Control Using Neural Oscillators

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1. Introduction

Humans or animals exhibit natural adaptive motions against unexpected disturbances or environment changes. This is because that, in general, the neural oscillator based circuits on the spinal cord known as Central Pattern Generators (CPGs) might contribute to efficient motor movement and novel stability properties in biological motions of animal and human. Based on the CPGs, most animals locomote stably using inherent rhythmic movements adapted to the natural frequency of their body dynamics in spite of differences in their sensors and actuators.

For such reasons, studies on human-like movement of robot arms have been paid increasing attention. In particular, human rhythmic movements such as turning a steering wheel, rotating a crank, etc. are self-organized through the interaction of the musculoskeletal system and neural oscillators. In the musculoskeletal system, limb segments connected to each other with tendons are activated like a mechanical spring by neural signals. Thus neural oscillators may offer a reliable and cost efficient solution for rhythmic movement of robot arms. Incorporating a network of neural oscillators, we expect to realize human nervous and musculoskeletal systems in various types of robots.

The mathematical description of a neural oscillator was presented in Matsuoka’s works (Matsuoka, 1985). He proved that neurons generate the rhythmic patterned output and analyzed the conditions necessary for the steady state oscillations. He also investigated the mutual inhibition networks to control the frequency and pattern (Matsuoka, 1987), but did not include the effect of the feedback on the neural oscillator performance. Employing Matsuoka’s neural oscillator model, Taga et al. investigated the sensory signal from the joint angles of a biped robot as feedback signals (Taga et al., 1991), showing that neural oscillators made the robot robust to the perturbation through entrainment (Taga, 1995). This approach was applied later to various locomotion systems (Miyakoshi et al., 1998), (Fukuoka et al., 2003), (Endo et al., 2005), (Yang et al., 2008).

Besides the examples of locomotion, various efforts have been made to strengthen the capability of robots from biological inspiration. Williamson created a humanoid arm motion based on postural primitives. The spring-like joint actuators allowed the arm to safely deal with unexpected collisions sustaining cyclic motions (Williamson, 1996). And the neuro-mechanical system coupled with the neural oscillator for controlling rhythmic arm motions...
was proposed (Williamson, 1998). Arsenio suggested the multiple-input describing function technique to control multivariable systems connected to multiple neural oscillators (Arsenio, 2000).

Even though natural adaptive motions were accomplished by the coupling between the arm joints and neural oscillators, the correctness of the desired motion was not guaranteed. Specifically, robot arms are required to exhibit complex behaviors or to trace a trajectory for certain type of tasks, where the substantial difficulty of parameter tuning emerges. The authors have presented encouraging simulation results in controlling the arm trajectory incorporating neural oscillators (Yang et al., 2007 & 2008). This chapter addresses how to control the trajectory of a real robot arm whose joints are coupled to neural oscillators for a desired task. For achieving this, real-time feedback from sensory information is implemented to exploit the entrainment feature of neural oscillators against unknown disturbances.

In the following section, a neural controller is briefly explained. An optimization procedure is described in Section 3 to design the parameters of the neural oscillator for a desired task. Details of dynamic responses and simulation and experimental verification of the proposed method are discussed in Section 4 and 5, respectively. Finally, conclusions are drawn in Section 6.

2. Rhythmic Movement Using a Neural Oscillator

2.1 Matsuoka’s neural oscillator

Our work is motivated by studies and facts of biologically inspired locomotion control employing oscillators. Especially, the basic motor pattern generated by the CPG of inner body of human or animal is usually modified by sensory signals from motor information to deal with environmental disturbances. The CPGs drive the antagonistic muscles that are reciprocally innervated to form an intrinsic rhythm generating mechanism around each joint. Hence, adapting this mechanism actuated by the CPGs which consists of neural oscillator network, we can design a new type of biologically inspired robots that can accommodate unknown interactions with the environments by controlling internal loading (or force) of the body.

For implementing this, we use Matsuoka’s neural oscillator consisting of two simulated neurons arranged in mutual inhibition as shown in Fig. 1. If gains are properly tuned, the system exhibits limit cycle behaviors. Now we propose the control method for dynamic systems that closely interacts with the environment exploiting the natural dynamics of Matsuoka’s oscillator.
Fig. 1. Schematic diagram of Matsuoka Neural Oscillator

\[ T_s \dot{x}_i + x_i = -w_{ji} y_j - \sum_{j=1}^{n} w_{ij} y_j - b v_i - \sum k_i [g_i]^+ + s_i \]

\[ T_s \dot{v}_i + v_i = y_i \]

\[ y_i = [x_i]^+ = \max(x_i, 0) \]

\[ T_s \dot{x}_j + x_j = -w_{ji} y_j - \sum_{j=1}^{n} w_{ij} y_j - b v_i - \sum k_i [g_i]^+ + s_i \]

\[ T_s \dot{v}_j + v_j = y_j \]

\[ y_j = [x_j]^+ = \max(x_j, 0) , \quad (i = 1, 2, \cdots, n) \]

where \( x_i \) and \( x_j \) indicate the inner state of the \( i \)-th neuron for \( i = 1 \sim n \), which represents the firing rate. Here, the subscripts ‘e’ and ‘f’ denote the extensor and flexor neurons, respectively. \( v_{effi} \) represents the degree of adaptation and \( b \) is the adaptation constant or self-inhibition effect of the \( i \)-th neuron. The output of each neuron \( y_{effi} \) is taken as the positive part of \( x_i \) and the output of the oscillator is the difference in the output between the extensor and flexor neurons. \( w_{ij} \) is a connecting weight from the \( j \)-th neuron to the \( i \)-th neuron: \( w_{ij} \) are 0 for \( i \neq j \) and 1 for \( i = j \). \( w_{ij} y_j \) represents the total input from the neurons arranged to excite one neuron and to inhibit the other, respectively. Those inputs are scaled by the gain \( k_i \). \( T_s \) and \( T_a \) are the time constants of the inner state and the adaptation effect, respectively, and \( s_i \) is an external input with a constant rate. \( w_{effi} \) is a weight of the extensor neuron or the flexor neuron and \( g_i \) indicates a sensory input from the coupled system.
In Figure 1, the gain $k$ of the sensory feedback was sequentially set as 0.02, 0.2, and 0.53 such as Figure 3 (a), (b), and (c). When $k$ is 0.02, the output of the neural oscillator cannot entrain the sensory signal input as shown in Figure 3 (a). The result of Figure 3 (b) indicates the signal partially entrained. If the gain $k$ is properly set as 0.53, the neural oscillator produces the fully entrained signal as illustrated in Figure 3 (c) in contrast to the result of Figure 3 (b).

![Fig. 2. Mechanical system coupled to the neural oscillator](image-url)

Figure 2 conceptually shows the control method exploiting the natural dynamics of the oscillator coupled to the dynamic system that closely interacts with environments. This method enables a robot to adapt to changing conditions. For simplicity, we employ a general 2nd order mechanical system connected to the neural oscillator as seen in Fig. 4. The desired torque signal to the joint can be given by

$$\tau_i = k_i (\theta_i - \theta) - b_i \dot{\theta},$$

where $k_i$ is the stiffness of the joint, $b_i$ the damping coefficient, $\theta_i$ the joint angle, and $\theta_{vi}$ is the output of the neural oscillator that produces rhythmic commands of the $i$-th joint. The neural oscillator follows the sensory signal from the joints, thus the output of the neural oscillator may change corresponding to the sensory input. This is what is called "entrainment" that can be considered as the tracking of sensory feedback signals so that the mechanical system can exhibit adaptive behavior interacting with the environment.

### 2.2 Entrainment property of the neural oscillator

Generally, it has been known that the Matsuoka's neural oscillator exhibits the following properties: the natural frequency of the output signal increases in proportion to $1/T_r$. The magnitude of the output signal also increases as the tonic input increases. $T_r$ and $T_a$ have an effect on the control of the delay time and the adaptation time of the entrained signal, respectively. Thus, as these parameters decrease, the input signal is well entrained. And the minimum gain $k_i$ of the input signal enlarges the entrainment capability, because the minimum input signal is needed to be entrained appropriately in the range of the natural frequency of an input signal. In this case, regardless of the generated natural frequency of the neural oscillator and the natural frequency of an input signal, the output signal of the neural oscillator locks onto an input signal well in a wide range.

Figure 3 illustrates the entrainment procedure of the neural oscillator. If we properly tune the parameters of the neural oscillator, the oscillator exhibits the stable limit cycle behaviors.
In Figure 1, the gain $k$ of the sensory feedback was sequentially set as 0.02, 0.2 and 0.53 such as Figure 3 (a), (b) and (c). When $k$ is 0.02, the output of the neural oscillator can’t entrain the sensory signal input as shown in Figure 3 (a). The result of Figure 3 (b) indicates the signal partially entrained. If the gain $k$ is properly set as 0.53, the neural oscillator produces the fully entrained signal as illustrated in Figure 3 (c) in contrast to the result of Figure 3 (b).
where \( \gamma \) is a random value uniformly distributed between 0 and 1. The temperature cooling schedule is 

\[ c \rightarrow c \cdot k \]  

where \( k \) is the Boltzmann constant or effective annealing gain) and 

\[ \Delta E \]  

is less than zero, the new state \( X_i \) is accepted and stored, otherwise another state is drawn with the transition probability, 

\[ \text{Prob}_i(E) \]  

given by 

\[ \text{Prob}_i(E) = \exp(\Delta E / T) \]  

For the process of minimizing some cost function \( E \), \( X=[T_r, T_s, w, s, \ldots]^T \) is selected as the parameters of the neural oscillator to be optimized; the initial temperature \( T_0 \) is the starting parameter; the learning rate \( \nu \) is the step size for \( X \). Specifically, the parameters are replaced by a random number \( N \) in the range \([-1,1]\) given by; 

\[ X_i = X_{i-1} + \nu \cdot N \]  

If the change in the cost function \( \Delta E \) is less than zero, the new state \( X_i \) is accepted and stored at the \( i \)-th iteration. Otherwise, another state is drawn with the transition probability, 

\[ \text{Prob}_i(E) \]  

given by 

\[ \text{Prob}_i(E) = \frac{1}{\text{Prob}_i(E_0)} \]  

where \( E_0 \) is the initial cost function.
by a random number parameter; the learning rate is the output of the neural oscillator and the dashed line indicates the sensory signal input.

Fig. 3. Simulation results on the entrainment property of the neural oscillator. The solid line at the

\[ \text{Pr}(E_i) = \left( \frac{1}{Z(T)} \right) \exp\left( -\frac{\Delta E}{c} \right) > \gamma, \]  

(4)

where \( \gamma \) is a random value uniformly distributed between 0 and 1. The temperature cooling schedule is \( c_i = k \cdot c_{i-1} \) (\( k \) is the Boltzmann constant or effective annealing gain) and \( Z(T) \) is a temperature-dependant normalization factor. If \( \Delta E \) is positive and \( \text{Pr}(E_i) \) is less than \( \gamma \) or equal to zero, the new state \( X_i \) is rejected. Here the lower cost function value and large difference of \( \Delta E \) indicate that \( X_i \) is the better solution. If temperature approaches zero, the optimization process terminates.

Even though SA has several potential advantages over conventional algorithms, it may be faced with a crucial problem. When searching for optimal parameters, it is not known whether the desired task is performed correctly with the selected parameters or not. We therefore added the task completion judgment and cost function comparison steps as shown in Fig. 4 by thick-lined boxes. If the desired task fails, the algorithm reloads previously stored parameters and selects the parameters that give the lowest cost function value. Then the optimization process is restarted with the selected parameters until it finds the parameters of the lowest cost function that allow the task to be done correctly.

4. Crank Rotation of Two-link Planar Arm

To validate the proposed control scheme, we evaluate the crank rotation task with a two-link planar arm whose joints are coupled to neural oscillators as shown in Fig. 5. The inter-oscillator network is not established, because the initial condition of the same sign will be equivalent to the excitatory connection between two oscillators. We focus on the entrainment property of the arm.

The crank rotation is modeled by generating kinematic constraints and an appropriate end-effector force. The crank has the moment of inertia \( I \) and the viscous friction at the joint connecting the crank and the base. If the arm end-effector position is defined as \((x, y)\) in a Cartesian coordinate system whose origin is at the center of the crank denoted as \((x_0, y_0)\), the coordinates \(x\) and \(y\) can be expressed as

\[
\begin{pmatrix}
  x \\
  y \\
\end{pmatrix} = \begin{pmatrix}
  -r \sin \phi + x_0 \\
  r \cos \phi + y_0 \\
\end{pmatrix} = \begin{pmatrix}
  l_1 c_1 + l_2 c_{12} \\
  l_1 s_1 + l_2 s_{12} \\
\end{pmatrix},
\]

(5)

where \( J \) is the Jacobian matrix of \([x, y]^T\). \( \phi \) and \( \theta_i \) are the crank angle and the \(i\)-th joint angle, respectively. \( l_i \) is the length of the \(i\)-th link. \( c_i, c_{12}, s_1 \) and \( s_{12} \) denote \( \cos \theta_i, \cos(\theta_1 + \theta_2), \sin \theta_1 \) and \( \sin(\theta_1 + \theta_2) \), respectively. \( r \) is the radius of the crank. Eq. (5) can be rearranged as follows:

\[
J(\theta)\dot{\theta} + \dot{J}(\theta, \dot{\theta})\dot{\theta} = r(u(\phi)\ddot{\phi} - v(\phi)\dot{\phi}^2),
\]

(6)

where \( u \) is the tangential unit vector and \( v \) is the normal unit vector at the outline of the crank as shown in Fig. 5, respectively.
Now the dynamic equations of the crank and the arm are given in the following form.

\[
I \ddot{\phi} + C \dot{\phi} = ru(\phi)^T F
\]

\[
M(\theta)\ddot{\theta} + V(\theta, \dot{\theta}) + G(\theta) = \tau - J(\theta)^T F
\]

\[
\tau = k(\theta - \theta_v) - b \dot{\theta},
\]

where \(M\) is the inertia matrix, \(V\) is the Coriolis/centripetal vector, and \(G\) is the gravity vector, \(k\) and \(b\) denotes the joint stiffness and viscosity matrices, respectively (Gomi & Osu, 1998), \(\theta_v\) is the output of the neural oscillator (see Eq. (2)), \(F\) is the contact force vector interacting between the crank and the end-effector. By solving Eqs. (7) and (8) simultaneously using Eq. (6), \(F\) is obtained as

\[
F = \{J(\theta)M(\theta)^{-1}J(\theta)^T + r^2 I^{-1}u(\phi)u(\phi)^T \}^{-1} \{J(\theta)M(\theta)^{-1} (\tau - V(\theta))+ J(\theta, \dot{\theta})\dot{\theta} + r\dot{\phi}(\phi)\dot{\phi} + CT^{-1}u(\phi)\}
\]

(10)

It is very hard to properly tune parameters of the neural oscillator for attaining the desired rotation task. Moreover, this dynamic model is tightly coupled to crank dynamics as described in Eq. (10). Thus, the proposed parameter tuning approach is divided into the following two steps:

1) **Step 1**: Find initial parameters of the neural oscillator corresponding to desired inputs of each joint using the cost function given by:

\[
\phi = \frac{T - T_G}{T_G} + v \cdot \max \left( \frac{A_d - C}{B}, 0 \right)
\]

subject to

i) \(A_{\min} \leq A_d \leq A_{\max}\)

ii) \(|A_d - C| \leq B\)

where \(C = (A_{\max} + A_{\min})/2\), \(B = (A_{\max} - A_{\min})/2\); \(A_d\) is the desired amplitude of the neural oscillator for the rotation task, \(A_{\max}\) and \(A_{\min}\) are the maximum and minimum amplitude constraints, respectively; \(T\) and \(T_G\) denote the desired and measured natural frequencies of the output generated by the neural oscillator, respectively. \(v\) is the performance gain.

2) **Step 2**: Using the initial parameters obtained by Step 1, run the proposed SA algorithm as illustrated in Fig. 4. The cost function for the crank rotation includes the velocity of the rotation, torque, and consumed energy.

Implementing Step 1 and Step 2 in sequence, we are able to acquire the appropriate initial and tuned parameters as seen in Table 1. Figure 6 (a) indicates a cooling state in terms of cooling schedule. Cooling or annealing gain \(K\) is set as 0.95. It can be observed in Fig. 6 (b) that the optimal process was well operated and a better solution at the lowest cost function was obtained iteratively. As expected, when the tuned parameters are employed to perform the given task, a stable motion could be accomplished as shown in Fig. 6. It is evident in Fig.
6 (c) that initial transient responses disappear due to the entrainment property of the neural oscillator. This property enables the arm to sustain the given task against changes in parameters of arm kinematics and dynamics as well as disturbances.

![Flowchart of the upgraded SA for task based parameter optimization.](image-url)

**Fig. 4.** Flowchart of the upgraded SA for task based parameter optimization.
Table 1. Initial and tuned parameters of the neural oscillator with robot arm model

| Parameter            | Initial   | Tuned     |
|----------------------|-----------|-----------|
| Sensory gain         | 1.0       | 1.5       |
| Tonic input          | 0.5       | 0.8       |
| Time constant         | 10.0      | 15.0      |
| Inhibitory weight     | 4.0       | 5.0       |
| Tension              | 0.25      | 0.30      |
| Arrester              | 0.5       | 0.8       |

Fig. 5. (a) Schematic robot arm model and (b) real robot arm coupled with the neural oscillator for experimental test.

Fig. 6. (a) Temperature transition for cooling schedule, (b) A transition of total cost function level, (c) The end-effector trajectory of two-link arm (d) The output of joint angle. The red dash line is the first joint angle and the second joint angle is drawn by the blue thin line.
5. Experiments with a Real Robot Arm

To validate the proposed control scheme described in Section 4, we employed a real robot arm with 6 degrees of freedom (see Fig. 5 (b)) and constructed a real time control system. This arm controller runs at 200 Hz and is connected via IEEE 1394 for data transmission at 4 kHz. ATI industrial automation’s Mini40 sensor was fitted to the wrist joint of the arm to detect external disturbances. The optimized parameters in Table 1 were used for the neural oscillator.

Figure 7 shows the arm kinematics. Since the crank motion is generated in the horizontal plane, \( q_1 \) and \( q_3 \) are set to 90°. The initial values of \( q_5 \) and \( q_6 \) are set to 0°, respectively. \( q_2 \) and \( q_4 \), corresponding to \( \theta_1 \) and \( \theta_2 \) in Fig. 5 (a), respectively, are controlled by the neural oscillators and the constraint force given in Eq. (10). The constraint force enables the end-effector to trace the outline of the (virtual) crank. Hence, the end-effector can draw the circles as shown in Fig. 8 (see the overlapping circles in the center part of the figure).

Now, we will examine what happens in the arm motion if additive external disturbances exist. Arbitrary forces are applied to the end-effector at 15s, 28s, 44s, 57s, 73s and 89s sequentially as shown in Fig. 9. We first pushed the end-effector along the minus x direction. The force sensor value in the x and y direction are added to Eq. (10). Then, the joint angles change according to the direction of the applied force, which makes the neural oscillators entrain the joint angles as shown in Fig. 10. The solid line is the output of the neural oscillator connected to the first joint (\( q_2 \)) and the dashed line indicates that of the neural oscillator connected to the second one (\( q_4 \)). Hence a change in the output of the neural oscillator causes a change in the joint torque. Finally the joint angles are modified as shown in Fig. 11, where the bottom plot is the output of \( q_2 \) and the top one is the output of \( q_4 \). Fig. 12 shows the snap shots of the simulated crank motion by the robot arm, where we can observe that the end-effector traces the circle well, and adapts its motion when an external force is applied to it.

Table 2 compares the power consumption of the robot arm performing the above task with different parameters of the neural oscillator. The parameters were drawn arbitrary among the ones that guarantee a successful completion of the task. If the optimized parameters (set D) were employed, the most energy-efficient motion was realized.

| Initial parameters                          | Optimized parameters |
|---------------------------------------------|----------------------|
| Inhibitory weight \( (w) \)                 | 2.0                  |
| Time constant \( (T_i) \)                   | 0.25                 |
| Inhibitory weight \( (w) \)                 | 4.012                |
| Time constant \( (T_i) \)                   | 1.601                |
| Sensory gain \( (k) \)                      | 1                    |
| Sensory gain \( (k) \)                      | 10.010               |
| Tonic input \( (s) \)                       | 60                   |
| Tonic input \( (s) \)                       | 57.358               |

Table 1. Initial and tuned parameters of the neural oscillator with robot arm model
| Parameter set | Parameter set | Parameter set | Parameter set |
|---------------|---------------|---------------|---------------|
| A             | B             | C             | D (optimized) |
| Inhibitory weight (w) | 2.0 | 2.503 | 4.012 | 4.012 |
| Time constant | 0.25 | 0.896 | 1.601 | 1.601 |
| (T_r)         | 0.5 | 5.0 | 3.210 | 3.210 |
| (T_a)         | 1.0 | 1.241 | 15.010 | 10.010 |
| Sensory gain (k) | 60.0 | 60.660 | 57.358 | 57.358 |
| Tonic input (s) | | | | |
| Measured current [A] | 1.871 | 0.794 | 0.591 | 0.572 |
| Power [W] consumption | 89.808 | 38.112 | 28.368 | 27.456 |

Table 2. Power Consumption according to the selected parameter set of the neural oscillator.

Fig. 7. Kinematic parameters of the robot arm

Fig. 8. The trajectory drawn by the end-effector of the arm
Fig. 9. The external forces measured by the force sensor in the $x$ and $y$ direction

Fig. 10. The output of the neural oscillator coupled to the joints of the arm
6. Conclusion

This chapter presents an example of human-like behavior of a planar robot arm whose joints were coupled to neural oscillators. In contrast to existing works that were only capable of rhythmic pattern generation, the proposed approach allowed the robot arm to trace a trajectory correctly through entrainment. For successfully achieving this, we proposed an optimization approach for obtaining the parameters of the neural oscillator modifying the simulated annealing method. Simulation and experimental results showed the effectiveness of the proposed approach. Moreover, it was demonstrated that the robot arm could adaptively behave responding to external disturbances keeping the shape of the trajectory unchanged. This approach will be extended to a more complex behavior toward the realization of biologically inspired robot control architectures.

7. Acknowledgement

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Fig. 11. The output of the first joint ($q_2$) and the second joint ($q_4$)

Fig. 12. Snap shots of the arm motion
6. Conclusion

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Without a doubt, robotics has made an incredible progress over the last decades. The vision of developing, designing and creating technical systems that help humans to achieve hard and complex tasks, has intelligently led to an incredible variety of solutions. There are barely technical fields that could exhibit more interdisciplinary interconnections like robotics. This fact is generated by highly complex challenges imposed by robotic systems, especially the requirement on intelligent and autonomous operation. This book tries to give an insight into the evolutionary process that takes place in robotics. It provides articles covering a wide range of this exciting area. The progress of technical challenges and concepts may illuminate the relationship between developments that seem to be completely different at first sight. The robotics remains an exciting scientific and engineering field. The community looks optimistically ahead and also looks forward for the future challenges and new development.

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