The Geometry and Origin of Ultra-diffuse Ghost Galaxies

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Received 2016 August 31; revised 2017 March 12; accepted 2017 March 13; published 2017 March 30

Abstract

The geometry and intrinsic ellipticity distribution of ultra-diffuse galaxies (UDG) is determined from the line-of-sight distribution of axial ratios $q$ of a large sample of UDGs, detected by Koda et al. in the Coma cluster. With high significance, the data rules out an oblate, disk-like geometry, characterized by major axes $a = b > c$. The data is, however, in good agreement with prolate shapes, corresponding to $a = b < c$. This indicates that UDGs are not thickened, rotating, axisymmetric disks, puffed up by violent processes. Instead, they are anisotropic elongated cigar- or bar-like structures, similar to the prolate dwarf spheroidal galaxy population of the Local Group. The intrinsic distribution of axial ratios of the Coma UDGs is flat in the range of $0.4 \leq a/c \leq 0.9$ with a mean value of $(a/c) = 0.65 \pm 0.14$. This might provide important constraints for theoretical models of their origin. Formation scenarios that could explain the extended prolate nature of UDGs are discussed.

Key words: galaxies: clusters: individual (Coma) – galaxies: evolution – galaxies: structure

1. Introduction

A new class of rather peculiar but frequent galaxies has been discovered, called Ultra-Diffuse Galaxies (UDG; Koda et al. 2015; van Dokkum et al. 2015a, 2015b; Roman & Trujillo 2016; van der Burg et al. 2016). UDGs are quiescent stellar systems on the red galaxy sequence with exceptionally low stellar surface densities of the order of a few $M_{\odot}$ pc$^{-2}$, two orders of magnitudes below the typical surface densities of Milky-Way-type objects. They have effective radii of 2–6 kpc, similar to giant galaxies. Their luminosities are, however, of order of $10^9 L_{\odot}$, resembling dwarf galaxies. UDGs had been seen earlier (Impey et al. 1988; Dalcanton et al. 1997). However, it has only recently become clear that they can be quite ubiquitous, contributing significantly to the total galaxy population, at least in some galaxy clusters. This was shown by Koda et al. (2015; see also Yagi et al. 2016), who detected of order 800 UDGs in the Coma cluster with a radial distribution within the cluster that is similar to the giant galaxies outside a core radius of 300 kpc.

The origin of these ghost galaxies represents an interesting mystery. Gas entering a dark halo will always tend to settle into a rotationally supported disk, which is the lowest energy state for a given specific angular momentum. The stars that form from this gas disk should then also be distributed in a disk. Amorisco & Loeb (2016) argue that the large radii of UDGs might result from the infall of very high angular momentum gas. However, the stellar surface mass densities of UDGs are smaller than the critical gas surface density, of the order of 10 $M_{\odot}$ pc$^{-2}$, required for molecular gas clouds to form and condense into stars (McKee & Krumholz 2010). This indicates that the surface densities of the gas disks during the star formation phase were much higher than the observed stellar surface densities. It in turn means that the current diffuse state results at least partly from a phase of substantial gaseous mass loss, e.g., through ram pressure stripping or stellar feedback driven galactic winds (Agertz & Kravtsov 2015; Yozin & Bekki 2015), possibly accompanied by an expansion of the stellar disk. Di Cintio et al. (2016) show that multiple episodes of gas infall and blow-out could result in such an expansion of the stellar disk and, interestingly, the formation of a cored dark matter halo (Burkert 1995). This is in agreement with earlier numerical simulations of Ogiya & Mori (2011, 2014) and Ogiya et al. (2014) who find that the non-linear response of dark halos to periodic events of gas in- and outflows could generate cored dark matter density distributions with scaling relations that are in agreement with observations (e.g., Burkert 2015; Kormendy & Freeman 2016). Violent destruction of an early, fast rotating disk would also be consistent with the measurements of high stellar velocity dispersions in one of the largest Coma UDGs, Dragonfly 44 (van Dokkum et al. 2016; see also Martínez-Delgado et al. 2016). Its ratio of velocity dispersion to rotational velocity is 0.2 and its mass-to-light ratio is 50–100, indicating that the stellar system is not self-gravitating. The stars are just tracer particles within a dominant dark halo potential, despite the fact that at the time of their formation the gas disk must have been self-gravitating in order to form stars. Because if its kinematics, van Dokkum et al. (2016) classified this galaxy as a dispersion dominated, elliptical-like galaxy, rather than a disk galaxy. Interestingly, the individual galaxies studied by van Dokkum et al. (2016) and Martínez-Delgado et al. (2016) live in low-density field environments. The harsh conditions of a galaxy cluster might, therefore, not always be required for their formation. On the other hand, Mihos et al. (2015) discovered one UDG in the Virgo cluster that shows evidence for tidal disruption. Most UDGs, however, do not show such signatures and might have been shaped by internal processes, probably a combination of high-angular momentum gas infall (Amorisco & Loeb 2016), combined with one or more violent episodes of gas loss (Di Cintio et al. 2016).

If the stellar component of UDGs formed in a dense, self-gravitating disk-like gas component, the question arises whether information of this initial state is still hidden in the current structure of UDGs. Galactic disks are usually characterized by low Sérsic indices $n$, of the order of unity. Indeed, the surface density distribution of UDGs is well described by $n \approx 1$. van Dokkum et al. (2015a) and Roman & Trujillo (2016), however, argue that the distribution of apparent axial ratios $q$ is not flat, as expected for thin disks.
However, UDGs could be thick disks, puffed up by perturbations as discussed earlier. Typical axial ratios are quite high with $q \approx 0.5$. They are, therefore, more likely spheroids than thick disks.

Thick, axisymmetric disks resemble oblate spheroids. However, the observed ellipticities could also be explained by prolate shapes, e.g., as expected if the UDGs are bars or anisotropic ellipticals, affected by tidal fields or if the stars just trace the potential of a prolate dark matter core. Determining the intrinsic geometry and the true intrinsic ellipticity distribution of UDGs could therefore add valuable information and constraints for a better understanding of their origin.

This is the purpose of this paper, Koda et al. (2015) provide a histogram of the measured axial ratios of a large sample of UDGs in the Coma cluster. In Section 2, we deproject an updated histogram of the axial ratio distribution of Coma UDGs, provided by J. Koda (2017, private communication, see also Koda et al. 2015) and derive their true intrinsic axial ratios. We demonstrate that, with high significance, the Coma UDG population cannot have an oblate, disk-like geometry. Adopting prolate shapes, we find an intrinsic ellipticity distribution that, in projection, is in good agreement with the observations. A discussion of this result and conclusions follow in Section 3.

2. Deciphering the Intrinsic Geometrical Shape and Ellipticity Distribution of Coma UDGs

Determining the distribution of true axial ratios $\beta$ or ellipticities $e = 1 - \beta$ from the known distribution of apparent axial ratios $q$ has a long history (e.g., Fall & Frenk 1983; Lambas et al. 1992). One generally assumes concentric, spheroidal isophotes with their coordinates $(x, y, z)$ following the relation

$$\frac{x^2}{a^2} + \frac{y^2}{b^2} + \frac{z^2}{c^2} = 1,$$

(1)

where $a$, $b$, and $c$ are the three major axes of the spheroid. Here we will restrict ourselves to the two most simple possibilities: oblate, disk-like spheroids with $a = b > c$ and axial ratios of $\beta = c/a$ or elongated, bar-shaped, prolate spheroids with $a = b < c$ and axial ratios $\beta = a/c$. The following Monte-Carlo method can be used in order to determine the apparent axial ratio distribution $N(q)$ from random projection of an ellipsoid with an intrinsic axial ratio of $\beta$. First, a projection angle $\theta$ has to be chosen, uniformly distributed in $\sin(\theta)$ on $[0, 1]$. The projected axial ratio $q$ is then given by (Binney & Merrifield 1998; Section 4.3.3)

$$q = (\beta^2 \sin^2 \theta + \cos^2 \theta)^{1/2}$$

(2)

for oblate geometries and by

$$q = \left(\frac{\sin^2 \theta}{\beta^2} + \frac{\cos^2 \theta}{\beta^2}\right)^{-1/2}$$

(3)

for prolate objects.

Figure 1 shows normalized, apparent axial ratio distributions $N(q)$ for two prolate and oblate ellipsoids with $\beta = 0.3$ and 0.6. The distribution has a sharp peak at $q = \beta$. Obviously there are no galaxies with $q < \beta$. For prolate spheroids (dashed curves) $N(q)$ decreases continuously toward $q = 1$. For oblate spheroids, however, $N(q)$ reaches a high plateau. Oblate spheroids of all axial ratios $\beta$, therefore, can contribute significantly to the observed population of UDGs that in projection appear round ($q \approx 1$).

The dominant peak at $q = \beta$ allows us to apply the following method in order to determine the intrinsic axial ratios and the geometry of the Coma UDGs. The histograms in Figure 2 show the observed distribution $N(q)$ of apparent axial ratios for the full sample (upper panels) of Coma UDGs, observed by Koda et al. (2015). The middle and lower panels show the subsample of extended Coma UDGs with effective radii $R_e \geq 1.5$ kpc and compact UDGs with $R_e < 1.5$ kpc, respectively. We begin with the lowest $q$ bin, where $N(q) > 0$. In our case, this corresponds to the $q = 0.25$ bin. We now determine the randomly projected axial ratio distribution $N(q(0.25))$ of galaxies with an intrinsic axial ratio $\beta = 0.25$. This projected distribution is then binned in $q$ similar to the observations and normalized such that, for $q = 0.25$, the number $N(0.25)0.25$ is equal to the observed number of UDGs in this bin, i.e., $N(0.25)0.25 = N(0.25)$. We now can determine the distribution of not yet assigned UDGs by subtracting $N(q(0.25))$ from $N(q)$. This leads to a new distribution $N_1(q) = N(q) - N(q(0.25))$. $N_1(0.25) = 0$, but $N_1(0.35) > 0$. Thus we can proceed to the $q = 0.35$ bin and repeat the same procedure. First, we determine the projected distribution $N(q(0.35))$ of galaxies with $\beta = 0.35$, which is then normalized such that $N(0.35)0.35 = N_1(0.35)$. We subtract $N(q(0.35))$ from $N_1(q)$, which leads to the distribution $N_2(q)$, which allows us to determine the number of UDGs in the intrinsic axial ratio bin $\beta = 0.45$. We continue this iteration until we reach the final bin, corresponding to $q = 0.95$. As shown by the filled blue points in Figure 2, this procedure allows us to fit the observations perfectly up to this last bin, independent of whether we adopt an oblate or prolate geometry. Never does the subtraction produce a negative number for $N_i(q)$ within the statistical error bars, which would be unphysical. This results from the fact that the observed distribution continuously

![Figure 1](http://example.com/image1.png)

**Figure 1.** Projected axial ratio distributions derived for randomly projected oblate (solid lines) and prolate (histograms) spheroids with intrinsic axial ratios of $\beta = 0.3$ (blue) and $\beta = 0.6$ (red), respectively. The distribution of apparent axial ratios was binned in the same way as the observed Coma UDGs.
increases with increasing $q$. For the sample of large galaxies with $R_e \geq 1.5$ kpc, there is a drop in the observed number at $q = 0.55$. This does not lead to a problem for prolate geometries. However, adopting oblate shapes, random projection of the UDGs with lower $q$ leads to 41 UDGs in this $q$ bin, while only 39 are observed. As shown by the corresponding filled blue point in the $q = 0.55$ bin, this minor difference of 2 is still within the statistical error bar.

However, the situation is very different for the last, highest axial ratio bin, where a strong drop in number is observed. The blue point in the $q = 0.95$ bin of the upper left panel of Figure 2 shows the predicted number of galaxies in this bin just from projection effects of galaxies in bins with smaller $q$ values, assuming an oblate geometry. Note that we did not even add any additional galaxies with intrinsic axial ratios $\beta = 0.95$. The predicted number of projected round UDGs is 164, which is far too large compared to the 98 observed round galaxies. Even if we reduced the number of observed galaxies in each bin with $q < 0.95$ by one sigma (open black circles and dashed line) we would end up with an uncomfortably large number of 151 round galaxies, resulting just from projection effects. The same is true for the extended and compact subsamples (middle and lower left panels of Figure 2). However, the situation is very different for prolate geometries. Because projections

Figure 2. Histograms in each panel show the observed distribution of apparent axial ratios $q$ of the full sample of Coma UDGs (upper panel), the subsample of large UDGs, characterized by effective radii $R_e \geq 1.5$ kpc (middle panel) and the subsample of compact UDGs with $R_e < 1.5$ kpc (lower panel). Filled black circles with statistic error bars show the observed number of galaxies. Blue filled circles correspond to the predicted apparent $q$ distribution of oblate galaxies (left panels) and prolate galaxies (right panels) with an intrinsic distribution as determined from the deprojection method. The intrinsic axial ratio distributions $N(\beta)$ for the full sample, and the extended and the compact subsamples are shown in Figure 4. The prolate deprojection method can explain the observed $q$ distributions well, even for the highest $q$ bin ($q = 0.95$). The situation is different for the oblate sample. It leads to too many round galaxies in the highest axial ratio bin. Even reducing the number of oblate UDGs in each bin by one $\sigma$ (dashed curves and open black circles) cannot explain the highest $q$ bin.
parallel to the long axis are very unlikely (see Figure 1) for this geometry, the number of apparently round galaxies is much smaller. For the full sample (upper right panel of Figure 2), we now find just 114 round UDGs, resulting from projection effects, which is almost within one sigma of the observed number.

In order to quantify the significance of this result, another Monte-Carlo simulation was applied. For each bin with \( q < 0.95 \), we choose a number of galaxies that follows a normal distribution of projected axial ratios that peaks at the observed number with a width given by the statistical \( \sqrt{N} \) error. As before, we then determine the number of galaxies with projected axial ratios in the \( q = 0.95 \) bin. Repeating this procedure many times leads to a distribution of the predicted number of projected round (\( q = 0.95 \)) galaxies that is shown in Figure 3. The solid line corresponds to the observations (\( N = 98 \pm 10 \)), adopting a normal distribution with statistical errors. The red shaded area shows the distribution, expected for prolate geometries, which overlaps with the observations within one \( \sigma \). Adopting oblate shapes, however, produces the blue shaded distribution, which is many \( \sigma \) off and can therefore clearly be ruled out. In summary, the apparent ellipticity distribution of Coma UDGs strongly favors a prolate, rather than an oblate geometry.

The red shaded regions in Figure 4 show the deprojected, intrinsic axial ratio distributions of the full sample of UDGs (upper panels) and of the extended and compact UDGs alone (middle and lower panels). Independent of their size and the assumption of a prolate or oblate geometry, most galaxies have axial ratios in the range of \( 0.4 \leq a/c \leq 0.9 \) with a flat distribution. For the complete sample, mean values are \( \langle a/c \rangle = 0.65 \pm 0.14 \). Within the statistical uncertainties, the extended and compact subsamples have the same mean axial ratios, with \( \langle a/c \rangle = 0.68 \pm 0.15 \) for the extended UDGs and \( \langle a/c \rangle = 0.61 \pm 0.15 \) for the compact galaxies.

Up to now, we adopted the 10 projected axial ratio bins of the updated sample, provided by J. Koda (2017, private communication). Individual axial ratios for each galaxy were not available for this sample. In order to test the dependence of the result on binning, the table of observed axial ratios, published in Koda et al. (2015) was adopted. For \( N_q = 10 \) bins, the previous results are recovered. The situation does not change if we vary the number of bins in the range of \( N_q = 6 \) to \( N_q = 18 \). In all cases, prolate geometries provide a good fit to the data while oblate geometries vastly overpredict the number of round galaxies. For smaller values of \( N_q \), the strong decline in the number of round objects is smeared out. For larger bin numbers, statistical fluctuations become too large in order for this model to converge and produce a predicted number of round galaxies from random projections of galaxies with larger axial ratios.

3. Discussion and Conclusions

The deprojection of observed axial ratios of Coma UDGs leads to the conclusion that these galaxies are on average prolate, rather than oblate. Focussing on Figure 4 and adopting an oblate geometry (upper left panel), \( N \) is strongly negative for the largest axial ratio bin. The problem is much smaller for prolate geometries. One could of course argue that this large observed deficit of round galaxies, adopting oblate intrinsic shapes, is a result of some observational bias, such that oblate spheroids, seen face on, are more difficult to detect. In this case, at least 66 round UDGs, out of a total number of 768 UDGs, would be missing, which appears unlikely. One could also argue that UDGs have a mixture of shapes, some being oblate, others prolate. Note, however, that even for prolate shapes, projection effects lead to a somewhat larger number of round galaxies, compared with the observations. This \( \sim 1\sigma \) discrepancy exists independent of binning and might indeed indicate some observational bias against round ellipticals. Assuming that some of these galaxies are actually oblate would, however, make this problem worse. Minimizing the difference between observed round galaxies and theoretically expected round galaxies, therefore, requires that all UDGs are prolate.
Interestingly, Coma UDGs and Virgo cluster dwarf ellipticals have very similar distributions of shapes. Chen et al. (2010, see also Lisker et al. 2009) investigated the structural properties of 100 ACS Virgo Cluster Survey galaxies. The mean axial ratios of their faint galaxy sample is $\bar{q} = 0.73 \pm 0.18$. This value is precisely the same as the projected mean axial ratio of the Coma UDGs with $\bar{q} = 0.72 \pm 0.16$. In addition, Chen et al. (2010) find no Virgo dwarfs, flatter than 0.35. Furthermore, like the Coma UDGs, the number of dwarfs increases with increasing axial ratios, with a depression in the highest axial ratio bin, that is, for round objects. Chen et al. (2010) note that this signature is not consistent with the random projection of flat, disk-like geometries. Similar processes might, therefore, have shaped the Coma UDGs and the Virgo dwarf galaxy population.

That UDGs are prolate, rather than oblate, which should provide important information about the processes that lead to their characteristic diffuse state. First of all, it indicates that they are dispersion dominated bars or cylinders, rather than rotation supported, thick disks, in agreement with the small $v_{\text{rot}}/\sigma$ values found by van Dokkum et al. (2016). If the stellar component is in virial equilibrium within a dominant dark halo potential, this could be achieved either by assuming that the dark halo distribution itself is prolate and/or that the stellar system’s velocity dispersion is anisotropic with larger dispersions parallel to the long axis, probably as a result of the processes that generated their elongated state. In this case, the population of projected round UDGs should have systematically larger observed velocity dispersions than flattened UDGs of the same stellar mass, as the line of sight of round UDGs would be

![Figure 4. Intrinsic axial ratio distribution of UDGs for oblate (left panels) and prolate (right panels) geometries. The upper panels show the full sample. The middle and lower panels depict the population of extended UDGs with effective radii $R_e \geq 1.5$ kpc and of compact UDGs with $R_e < 1.5$ kpc, respectively.](image)
parallel to the long axis. The situation would be the opposite for oblate galaxies, where velocity dispersions are usually larger in the equatorial plane than perpendicular to it.

It is interesting that prolate shapes would link the UDGs to their diffuse, low-mass relatives: Local Group dwarf spheroidal galaxies (dSphs). Hayashi & Chiba (2015), for example, investigated the kinematical data of 12 dSphs and argue that these objects probably live in elongated, bar-like dark matter halos with their shapes reflecting the elongation of their confining dark halos. They also note that, if true, this elongation is inconsistent with ΛCDM models. This is interesting because it might indicate that internal processes that lead to the diffuse state of these galaxies also reshaped their inner dark halo components.

The flat distribution of prolate axial ratios of UDGs in the range of 0.4 to 0.9, independent of their effective radii, provides important constraints for any theoretical model of their formation. Up to now, we do not know whether existing models can reproduce this result. For example, Ceverino et al. (2015) and Tomassetti et al. (2016) find in their high-resolution numerical simulations that prolate shapes of stellar systems and dark matter halos are generic for lower-mass galaxies with stellar masses of the order of $M_* \leq 10^8 M_\odot$. These authors focussed on early galaxies in the high cosmic redshift regime of $z \approx 2$–4. Whether this also applies to present-day galaxies and to the peculiar and extreme physical conditions that produce UDGs is, however, not clear. In addition, it has not been shown that the distribution is flat and in the observed range of axial ratios. If the stars formed in a fast rotating disk that was later on puffed up by substantial mass loss, one might expect that the system keeps a preferentially oblate shape. On the other hand, violently relaxing particle systems can experience radial orbit instability that generates a bar with an anisotropic velocity dispersion (Merritt 1987). Another process could be an encounter with a massive perturber or tidal effects caused by the Coma cluster potential. An interesting suite of numerical simulations of tidally stirred disky satellite galaxies has been presented by Martínez-Delgado et al. (2016, see also Kazantzidis et al. 2017). They focussed on the population of dwarf spheroids orbiting Milky-Way-sized hosts and demonstrated that especially for cored dark matter halos (Burkert 1995) tidal effects could transform oblate, disky dwarfs into prolate spheroids. The same mechanism might actually be active for UDGs in cluster potentials, though it is not clear yet whether it would lead to the observed ellipticity distribution with $\langle a/c \rangle = 0.65 \pm 0.14$. This scenario is also promising because it might explain the peculiar orientation of the UDG’s long axis in the Coma, which is not random. Yagi et al. (2016) find that the UDG’s major axis is preferentially radially aligned toward the cluster center. Note, however, that UDGs have now also been found in low-density environments. Martínez-Delgado et al. (2016) report the discovery of an ultra-diffuse, quenched galaxy, DGSAT 1, in the outskirts of the Pisces–Perseus supercluster. They argue that DGSAT 1 might be a “backsplash” galaxy that passed through the center of the cluster Zw 0107+5212 (Gill et al. 2015) with high velocities and is now in the outskirts at distances of 1–2 virial radii. If field UDGs did not experience tidal effects, they might actually be oblate, rather than prolate. In order to test this conjecture, however, one would need a sample of the order of a few 100 objects in order to determine their geometrical shape using the method presented in this paper.

Maybe the stars in UDGs never formed in a disk configuration. Could star formation have occurred in individual dense clouds, orbiting within the inner region of a cored, prolate dark halo? Like normal galaxies, UDGs have an extended globular cluster population (Beasley & Trujillo 2016; Beasley et al. 2016; Peng & Lim 2016; van Dokkum et al. 2016), similar to the halo globular clusters of the Milky Way. Did the stars and globulars form ex situ in substructures that were later on accreted by a dark halo that did not manage to form in situ stars? In this case, UDGs would be failed galaxies with an accreted stellar halo component, similar to the Milky Way halo, but missing a disk component. Even more extreme would be the assumption that the more than 800 Coma UDGs are actually galaxies that are currently in the process of being tidally disrupted (Hozumi & Burkert 2015; Ploeckinger et al. 2015). A prominent example of such a process is the S-shaped dwarf galaxy, observed in the Hydra I cluster (Koch et al. 2012).

In order to distinguish between these scenarios, more detailed observations, including an investigation of the kinematics and rotation of UDGs and the metallicity and age distribution of their stellar populations is required.

This work was supported by the cluster of excellence “Origin and Structure of the Universe.” I thank Jean Brodie, Avishai Dekel, Duncan Forbes, Aaron Romanowsky, and Pieter van Dokkum for inspiring discussions and the astronomy department at the University of California, Santa Cruz, for their hospitality and support during the preparation of this paper. Thanks also to Jin Koda for providing an updated histogram of Coma UDG axial ratios. I also thank the referee for carefully reading the manuscript and for excellent comments.

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