Current Population Statistics Do Not Favor Photoevaporation over Core-powered Mass Loss as the Dominant Cause of the Exoplanet Radius Gap

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Abstract

We search for evidence of the cause of the exoplanet radius gap, i.e., the dearth of planets with radii near 1.8 $R_{\oplus}$. If the cause were photoevaporation, the radius gap should trend with proxies for the early-life high-energy emission of the planet-hosting stars. If, alternatively, the cause were core-powered mass loss, no such trends should exist. Critically, spurious trends between the radius gap and stellar properties arise from an underlying correlation with instellation. After accounting for this underlying correlation, we find that no trends remain between the radius gap and stellar mass or present-day stellar activity as measured by near-UV emission. We dismiss the nondetection of a radius gap trend with near-UV emission because present-day near-UV emission is unlikely to trace early-life high-energy emission, but we provide a catalog of Galaxy Evolution Explorer near-UV and far-UV emission measurements for general use. We interpret the nondetection of a radius gap trend with stellar mass by simulating photoevaporation with mass-dependent evolution of stellar high-energy emission. The simulation produces an undetectable trend between the radius gap and stellar mass under realistic sources of error. We conclude that no evidence, from this analysis or others in the literature, currently exists that clearly favors either photoevaporation or core-powered mass loss as the primary cause of the exoplanet radius gap. However, repeating this analysis once the body of well-characterized $<4R_{\oplus}$ planets has roughly doubled could confirm or rule out photoevaporation.

Supporting material: machine-readable table

1. Introduction

The population of $<4R_{\oplus}$ planets is split into two distinct groups. The two groups are separated by a sharp drop in the occurrence rate of planets with radii near 1.8 $R_{\oplus}$ (Fulton et al. 2017), often termed the radius gap. As the precision of planetary radius measurements has improved, now reaching 10% or better for around 1700 $<4R_{\oplus}$ planets, the radius gap has become increasingly clear (Owen & Wu 2013; Fulton et al. 2017; Fulton & Petigura 2018; Van Eylen et al. 2018; MacDonald 2019; Martinez et al. 2019).

The radius gap probably represents a sharp division between planets that retain a thick primordial H/He atmosphere and planets that either lost their thick atmosphere or formed without one (Lopez & Fortney 2013; Owen & Wu 2013; Ginzburg et al. 2016; Fulton & Petigura 2018). A planet with an H/He atmosphere comprising roughly 1% of its mass will have an apparent radius in visible light several times that of its rocky core (Lopez & Fortney 2014). Below a critical core mass, a planet’s gravity will be too weak to retain its primordial atmosphere. The apparent radius of a planet that cannot retain its primordial atmosphere shrinks as atmospheric mass is lost. The difference in the apparent radius of cores that have retained thick atmospheres and cores that have lost them gives rise to the radius gap. Planets above the radius gap have lower bulk densities than those below the radius gap, supporting the idea that those above have thick atmospheres and those below do not (Weiss & Marcy 2014; Swain et al. 2019).

Several mechanisms could strip primordial atmospheres from rocky planetary cores. Under the X-ray and ultraviolet (XUV) evaporation theory, stellar extreme ultraviolet and X-ray (<912 Å) emission drives most of the atmospheric mass loss within the first 100 Myr (Lopez et al. 2012; Owen & Jackson 2012). Alternatively, under the core-powered mass-loss theory, the residual accretion heat of the planetary core powers atmospheric loss over the course of a billion years or more (Ginzburg et al. 2016, 2018). Meanwhile, exoplanet demographics do not support theories invoking differences in protoplanetary disk dispersal and giant impacts (Fulton & Petigura 2018). The XUV evaporation and core-powered mass-loss theories have a key difference: XUV evaporation relies on stellar activity, whereas core-powered mass loss is indifferent to it. In this work, we leveraged that difference to better understand what causes the radius gap.

1.1. Details of the XUV Evaporation and Core-powered Mass-loss Theories

Under the XUV evaporation theory, atmospheric loss depends fundamentally on the XUV irradiation of the planet by the host star, $I_{XUV}$, in its early life (Lopez et al. 2012; Owen & Jackson 2012). As $I_{XUV}$ increases, more massive planetary cores can be stripped of their primordial atmospheres. XUV irradiation is the product of two components, the planet’s instellation, $S$, and the fraction of the star’s bolometric luminosity emitted at XUV wavelengths, $L_{XUV}/L_{bol}$.

\[ I_{XUV} = S \cdot L_{XUV}/L_{bol}. \]  

Instellation is a generalization of the term insolation used for solar system planets. It indicates the bolometric stellar flux at
the position of the planet, i.e., \( L_{\text{bol}}/4\pi a^2 \), where \( L_{\text{bol}} \) is the stellar bolometric luminosity and \( a \) is the semimajor axis of the planet’s orbit. Because \( L_{\text{XUV}} \propto S \), XUV evaporation predicts an increase in the radius gap with \( S \). Throughout this paper, when we discuss increases, decreases, trends, etc. of the radius gap, we refer to changes in the location of the gap on the planetary radius axis, i.e., the local minimum in a histogram of planetary radii. Because shorter period planets are more irradiated, \( S \propto P^{-1/3} \), XUV evaporation further predicts a decrease in the radius gap with increasing orbital period. These trends have been confirmed in multiple analyses of planetary demographics (Fulton et al. 2017; Fulton & Petigura 2018; Van Eylen et al. 2018; MacDonald 2019; Martinez et al. 2019).

Alternatively, in the core-powered mass-loss framework, atmospheric loss depends fundamentally on the planetary equilibrium temperature, \( T_{\text{eq}} \). In this framework, the opaque thick primordial atmosphere of a newly formed rocky planet prevents the core from quickly radiating its remaining heat of formation to space. Instead of being radiated away, this heat powers a Parker wind (Ginzburg et al. 2016, 2018). The sonic point of the wind thwarts the outflow, limiting it to the sound speed. The sound speed at the sonic point increases with planetary equilibrium temperature, enabling greater rates of atmospheric escape. Hence, the rate of atmospheric loss is controlled by the host star, even though the star does not directly power it. Because \( T_{\text{eq}} \propto S^{1/4} \), core-powered mass loss predicts the same qualitative dependencies on \( S \) and \( P \) as XUV evaporation.

The similarity of the predictions of core-powered mass loss and XUV evaporation makes finding lines of evidence that could disentangle the two challenging. Both can reproduce the observed planetary population in the radius, instellation, and evaporation. Because shorter period planets are more irradiated, \( S \propto P^{-1/3} \), XUV evaporation further predicts a decrease in the radius gap with increasing orbital period. These trends have been confirmed in multiple analyses of planetary demographics (Fulton et al. 2017; Fulton & Petigura 2018; Van Eylen et al. 2018; MacDonald 2019; Martinez et al. 2019).

Previously, the radius gap as a function of \( P \) could be measured, the measurement would only be a snapshot of the star’s present-day emission, not the early-life emission that is critical to XUV evaporation. Under these limitations, the only recourse is to seek proxies for early-life \( L_{\text{XUV}}/L_{\text{bol}} \).

One proxy for early-life \( L_{\text{XUV}}/L_{\text{bol}} \) of stars is stellar mass (Section 1.2). Zeng et al. (2017), Fulton & Petigura (2018), Wu (2019), and Gupta & Schlichting (2019b) all examined the radius gap as a function of \( M_* \). Our analysis is novel in that we use tests that account for differences in \( S \) when searching for a dependency on \( M_* \). The importance of this accounting, and the results from previous work, will be discussed in the context of the new results in Section 4.

A second possible proxy for early-life \( L_{\text{XUV}}/L_{\text{bol}} \) is present-day stellar activity. An archive of readily accessible activity measurements exists in the form of the all-sky NUV and FUV observations made by the Galaxy Evolution Explorer (GALEX) spacecraft. However, using GALEX archival data, or any present-day measurements of stellar activity, comes with a critical caveat. For GALEX NUV or FUV emission to serve as a useful axis on which to examine the radius gap, differences in the present-day NUV or FUV emission of individual stars must trace back to differences in their early-life XUV emission. A dispersion of \( \sim 0.5 \) dex in X-ray activity for young stars remains just as large for field-age stars (Jackson et al. 2012), even though, over the course of their evolution, the rotation periods of solar-mass stars converge to very similar values (Epstein & Pinsonneault 2014). This hints that variations in activity between individuals might not be tied purely to differences in rotation and could persist throughout the rotational evolution of stellar populations. If so, there could be a fossilized dependency of the radius gap on present-day stellar activity.

We structure this paper as follows. In Section 2 we give a description of the exoplanet catalog we used, a catalog of GALEX NUV and FUV activity measurements we assembled, and our method for fitting the radius gap. Section 3 presents several tests for relationships between the radius gap, stellar activity, and stellar mass and the results of those tests. A discussion of these results follows in Section 4, and we conclude with a brief summary in Section 5. Readers interested in the details of the data and various analyses, particularly those wishing to reproduce any portion of this work, will find those details in the appendices.

2. Data and Analysis

The population of planets we analyzed consists of the confirmed and Kepler candidate exoplanet systems downloaded from the NASA Exoplanet Archive on 2019 June 7. We
updated system parameters to those of the *California Kepler Survey* (Fulton & Petigura 2018) and the asteroseismic survey of Van Eylen et al. (2018) where possible. These surveys include precise estimates of stellar masses and planetary radii that clearly expose the radius gap. We obtained archival NUV and FUV photometry of all systems observed by the *GALEX* spacecraft and estimated the fraction of that emission attributable to stellar activity (details in Section 2.1). A portion of the catalog of *GALEX* fluxes is presented in Table 1, and the full table is available with the electronic version of this article.

We applied the following cuts to the exoplanet sample:

1. Stellar log$_10$ g in the range (4, 5) cm s$^{-2}$ to exclude evolved stars,
2. Planet $R_p < 4 R_\oplus$,
3. Planet impact parameter $b < 0.9$ to avoid strong correlations between planetary radius and impact parameter uncertainties (Fulton & Petigura 2018),
4. Planet orbital period $P < 100$ days to exclude planets where stellar irradiation might not be sufficient to create a radius gap (e.g., Owen & Wu 2017),
5. Precision on the planet radius of $\sigma_{R_p}/R_p < 0.1$ to mitigate scatter of points into the radius gap resulting from random measurement error.

This yielded a sample of 1548 planets (in 1105 unique systems), 942 from the *California Kepler Survey* (Fulton & Petigura 2018) and 3165 with measurements of stellar mass and planetary instellation (in 958 unique systems). Figure 1 depicts the distribution of catalog masses and ages of the sample’s host stars. Age estimates in Figure 1 are mostly isochrone estimates with uncertainties of a few billion years. We were able to estimate the activity-related NUV irradiation of 697 planets and the activity-related FUV irradiation of 176 planets, with upper limits for the NUV irradiation of 189 planets and FUV irradiation of 544 planets.

Our investigation required quantifying the relationship between the radius gap and several independent variables, such as instellation. We assumed a linear relationship between the radius gap and independent variable in log–log space, in line with previous works (e.g., Van Eylen et al. 2018; Martinez et al. 2019). To fit the linear gap, we created an algorithm that subtracted the radius gap from the planetary radii, then used kernel density estimation (KDE; similar to a smoothed histogram) to estimate the number of planets along the line of the gap. We took the gap line with the minimum number density of planets along it as the best fit. By bootstrapping the planet sample, we determined the median fit parameters and their uncertainties (more details in Appendix A).

We did not attempt to correct planet occurrence rates according to detection completeness, in line with Van Eylen et al. (2018), among others. The location of the radius gap does not appreciably change between studies that include and exclude completeness corrections (Fulton & Petigura 2018; Van Eylen et al. 2018).

### 2.1. *GALEX* NUV and FUV Fluxes of Known Exoplanet Host Stars

*GALEX* observed nearly the entire sky during its operation from 2003 to 2012. The observatory conducted photometry in two broad UV bands: an FUV band covering roughly 1350–1800 Å, and an NUV band covering roughly 1700–3000 Å. We obtained NUV and FUV fluxes of the host stars, or upper limits, from the *GALEX* master source catalog hosted by the Mikulski Archive for Space Telescopes (MAST). Although only planets with radii measurements (i.e., transiting planets) were relevant to this paper, we compiled values for all confirmed and candidate systems for the benefit of the community. Observations of most objects included two to ten exposures of a few hundred seconds each and typically spanned several years. Thus, the measurements for most stars sampled a variety of stellar rotation states and a fraction of a Sun-like activity cycle.

We created a simple Python tool to pull *GALEX* fluxes from the visit level archive hosted by MAST while correcting for target proper motions. We imposed a maximum 16" distance to match targets. For targets with multiple exposures, we averaged the exposure-weighted count rates after removing any outliers. When no source existed within the match radius in the *GALEX* source catalog, we computed 2σ upper limits based on the background count rate reported in the catalog. When *GALEX* covered the target coordinates with multiple visits, we used the most restrictive upper limit yielded by any single visit. Our catalog adds 2987 new planet host stars with *GALEX* photometry to the 272 compiled by Shkolnik (2013). We vetted our fluxes against those of Shkolnik (2013) and investigated anomalies as described in Appendix C. *GALEX* measurements of bright targets are subject to saturation effects, and we corrected for these effects using a polynomial fit to the detector response published in Morrissey et al. (2007).

To make the measurements of host-star NUV and FUV emission the best possible proxies for activity-generated XUV emission, we estimated the fraction of NUV and FUV emission attributable to stellar activity. We did this by subtracting an estimate of each star’s photospheric emission in the FUV and NUV bands. To estimate photospheric emission, we relied on the CATSUP sample (Figure 2; Hinkel et al. 2017). For the stars in that sample, we assumed that those with the lowest FUV and NUV emission represent a limit where photospheric emission dominates. We fit a power law between effective temperature and absolute FUV and NUV magnitudes, then found the offset that placed the power law at the 95th percentile of the data points. This we took as an estimate of the contribution of the photosphere to FUV and NUV emission for a star of a given effective temperature. The FUV fluxes of stars with $T_{\text{eff}} < 5300$ K were all dominated by activity, and the NUV emission of stars with $T_{\text{eff}} > 5200$ K generally exceeded the linearity limit for the *GALEX* detector. We excluded these points from the fit, along with any points that were upper or lower limits and $>2.5\sigma$ outliers. By subtracting the photospheric fit from the *GALEX* fluxes we retrieved for each exoplanet host star, we obtained the excess FUV and NUV flux attributable to activity, $F_{\text{UV, e}}$ and $F_{\text{NUV, e}}$. We denote the irradiation of orbiting planets by excess FUV and NUV flux as $I_{\text{FUV, e}}$ and $I_{\text{NUV, e}}$.

### 3. Results

Our fits to the radius gap are consistent with those reported in previous works (Fulton & Petigura 2018; Van Eylen et al. 2018; Martinez et al. 2019). We find the slope of the gap in the $R_p$–$P$ plane to be $-0.08 \pm 0.01$, in comparison to $-0.09^{+0.02}_{-0.04}$ (Van Eylen et al. 2018) and $-0.11 \pm 0.02$ (Martinez et al. 2019). Fitting subsets of the population causes the slope of the
| Planet            | NUV at planet erg cm$^{-2}$ s$^{-1}$ | NUV at planet erg cm$^{-2}$ s$^{-1}$ | Excess NUV$^a$ at planet erg cm$^{-2}$ s$^{-1}$ | FUV at planet erg cm$^{-2}$ s$^{-1}$ | FUV at planet erg cm$^{-2}$ s$^{-1}$ | Excess FUV$^a$ at planet erg cm$^{-2}$ s$^{-1}$ | Orbital Period day | Bolometric Instellation $S_0$ | Stellar Mass $M_*$ | Stellar Luminosity $L_*$ |
|------------------|--------------------------------------|--------------------------------------|-----------------------------------------------|----------------------------------|----------------------------------|-----------------------------------------------|-------------------|-------------------------|-----------------|-------------------------|
| 11 Com b         | $3.5 \times 10^{-11}$                | 1700                                 | 1600                                          | $2.0 \times 10^{-13}$            | 44                               | 44                                            | 326.03            | 105.17                  | 2.70            | 174.98                  |
| HD 24064 b       | $1.8 \times 10^{-12}$                | 3900                                 | 3900                                          | $1.9 \times 10^{-14}$            | 44                               | 44                                            | 535.60            | 211.29                  | 1.61            | 351.56                  |
| KOI-1599.01      | ...                                  | ...                                  | ...                                           | ...                             | ...                              | ...                                            | 20.44             | 55.69                   | 1.02            | 1.21                    |
| Kepler-1468c     | ...                                  | ...                                  | ...                                           | ...                             | ...                              | ...                                            | 3.55              | 1479.57                 | 1.04            | 3.22                    |
| Kepler-300 b     | $1.5 \times 10^{-13}$                | $9.0 \times 10^5$                    | $5.7 \times 10^5$                              | $<4.8 \times 10^{-14}$           | $7.7 \times 10^5$                 | $7.7 \times 10^5$                               | 10.45             | 265.19                  | 1.07            | 2.05                    |
| Kepler-672 b     | $2.1 \times 10^{-13}$                | ...                                  | ...                                           | $3.7 \times 10^{-14}$            | ...                              | ...                                            | 38.38             | 16.36                   | 0.95            | 0.76                    |
| WASP-23 b        | $1.8 \times 10^{-13}$                | $2.4 \times 10^5$                    | $9.8000$                                      | ...                             | ...                              | ...                                            | 2.94              | ...                     | 0.78            | 0.42                    |
| K02807.01        | $3.9 \times 10^{-13}$                | $9.3 \times 10^6$                    | $3.9 \times 10^6$                             | ...                             | ...                              | ...                                            | 3.38              | 1111.66                 | 1.31            | ...                     |
| K04750.01        | ...                                  | ...                                  | ...                                           | ...                             | ...                              | ...                                            | 36.72             | 14.51                   | 0.94            | ...                     |
| K05960.01        | $1.1 \times 10^{-12}$                | $<24000$                            | $<-16000$                                     | ...                             | ...                              | ...                                            | 32.42             | 52.70                   | 0.84            | ...                     |

Note. Only 10 planets from the full catalog are shown here, with uncertainties and references excluded due to space constraints. The full catalog is available as a machine-readable table in the online version of the article.

$^a$ Flux remaining after the subtraction of an empirical estimate of the flux from the stellar photosphere.

(This table is available in its entirety in machine-readable form.)
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Figure 1. Distribution of ages and host star masses for the 1234 systems with cataloged values for stellar mass, planetary instellation, and system age. The light gray extensions to the top histogram include systems that have a catalog value for stellar mass and planetary instellation, but not system age; 1365 systems total. For multi-planet systems, the host star is counted once for each planet. The parameters of circular points come from Fulton & Petigura (2018), squares from Van Eylen et al. (2018), and diamonds from the NASA Exoplanet Archive. The three colored regions correspond to stellar mass bins referenced later in this paper (Section 3.3).

Figure 2. Fits to the GALEX magnitudes of the CATSUP sample. We excluded smaller points from the fits for a variety of reasons (see text). Dotted lines show the fits, whereas solid lines give the adopted photosphere-only limit subtracted to give a star’s excess GALEX flux. The knee in the FUV points results from stellar activity contributing more emission than the photosphere for low-mass stars. Equations are for the solid lines.

The dependence of the gap on planetary irradiation is critical to this work. Figure 3 shows the best fit for the gap in the \(R_p-S\) plane, with a positive slope of \(0.10 \pm 0.03\). The radius gap has a positive trend with excess NUV irradiation and excess FUV irradiation of the planets, with slopes of \(0.07 \pm 0.02\) (\(I_{\text{NUV}}\), Figure 4) and \(0.04 \pm 0.03\) (\(I_{\text{FUV}}\), Figure 5). The full NUV and FUV planetary irradiations without the photosphere subtraction described in Section 2.1 produce \(<1\sigma\) changes in slopes. This indicates that the results are not sensitive to the details of the photosphere subtraction.

The relationships between the radius gap and \(I_{\text{NUV}}\) and \(I_{\text{FUV}}\) are not in themselves evidence for XUV evaporation. Variations in \(I_{\text{NUV}}\) and \(I_{\text{FUV}}\) can be primarily attributed to variations in \(S\). Let the reader recall that \(I_{\text{NUV}}, I_{\text{FUV}},\) and \(S\) are all fluxes measured at each planet. Therefore they vary in unison in response to changes in semimajor axis and stellar luminosity. Hence, even if the radius gap depends fundamentally only on \(S\), as in the core-powered mass-loss theory, the link between \(S, I_{\text{NUV}},\) and \(I_{\text{FUV}}\) means that the radius gap will trend with each of those values.

To disentangle XUV evaporation from core-powered mass loss, any population test must account for underlying (and, in the case of \(I_{\text{NUV}}\) and \(I_{\text{FUV}}\), nearly 1:1) correlations with \(S\). The following subsections describe several such tests. Because of the small size of the FUV sample, we restrict further discussion to the NUV sample only. Numerical experiments confirm that each test operates as we intend (Appendix D).

3.1. No Relationship between \(L_{\text{NUV}}/L_{\text{bol}}\) and the Location of the Radius Gap after Accounting for Variations in Instellation

Planets receiving the same instellation can have much different \(I_{\text{NUV}}\) irradiations. The difference arises from differences in \(L_{\text{NUV}}/L_{\text{bol}}\) between stars. A shift of the radius gap to greater radii for populations of planets orbiting higher \(L_{\text{NUV}}/L_{\text{bol}}\) stars would be evidence for XUV evaporation.

We split the population of planets into thirds based on \(L_{\text{NUV}}/L_{\text{bol}}\) to test for changes in the radius gap. To isolate differences in the location of the gap, we fit the gap for each population under the constraint that their slopes be identical.

Figure 6 shows the gap fits (see Appendix E for individual fits). Differences in the location of the gap between the populations with differing \(L_{\text{NUV}}/L_{\text{bol}}\) are not statistically significant. Allowing the slopes of each fit to vary independently does not change this result.

We carried out another test for a dependency on \(L_{\text{NUV}}/L_{\text{bol}}\) that did not require binning. For this, we detrended the planetary radii according to a fit to the gap in the \(R_p-S\) plane by subtracting the \(R_p-S\) fit in log space. This yielded a radius gap that did not vary with \(S\). We then searched for a residual relationship between the detrended \(R_p\) and \(L_{\text{NUV}}/L_{\text{bol}}\) (see Appendix D).

The \(S\)-detrended radius gap shows no statistically significant relationship with \(L_{\text{NUV}}/L_{\text{bol}}\). The best-fit slope is \(0.00^{+0.01}_{-0.03}\) (Figure 7).

3.2. Gap Depth is Not Greater when \(I_{\text{NUV}}\) is Used in Place of Instellation

If XUV evaporation is the primary cause of the radius gap, the radius gap could be cleaner in the \(R_p-I_{\text{NUV}}\) plane than the \(R_p-S\) plane. Variations in \(I_{\text{NUV}}/L_{\text{bol}}\) will scatter points into the gap in the \(R_p-S\) plane that would not be in the gap in the \(R_p-I_{\text{NUV}}\) plane. If \(I_{\text{NUV}}\) is an adequate proxy for early-life \(I_{\text{XUV}}\), then the same will hold for it. Measurement errors will also scatter points into the gap, potentially masking differences in its clarity.

We tested for differences in the clarity of the gap by measuring its depth. To ensure a consistent comparison, we used only planets with measurements of both \(S\) and \(I_{\text{NUV}}\), the

\[ FUV = -0.0048(T_{\text{eff}} - 5800) + 17.4 \]

\[ NUV = -0.0035(T_{\text{eff}} - 4500) + 16.1 \]

\[ \text{gap in } R_p-P \text{ to vary between } -0.05 \text{ and } -0.10, \text{ although } -0.08 \text{ remains within } 1\sigma \text{ of each fit.} \]

\[ \text{We quote uncertainties as the } 16\text{-}84\text{th (i.e., } 1\sigma) \text{ confidence intervals throughout this work.} \]
Figure 3. Planetary radius gap in the $R_p$–$S$ (instellation) plane. The blue line and translucent area are the best fit to the gap and bootstrapped 1σ uncertainty. In the right panel, the best fit has been subtracted in log space, aligning the gap to the histogram. There is a positive relationship between the radius gap and instellation, consistent with previous results (e.g., Fulton & Petigura 2018).

Figure 4. Planetary radius gap in the $R_p$–$I_{\text{NUV}}$ (excess NUV planetary irradiation) plane. The blue line and translucent area are the best fit to the gap and bootstrapped 1σ uncertainty. In the right panel, the best fit has been subtracted in log space, aligning the gap to the histogram. As with instellation, there is a strong positive relationship between the radius gap and $I_{\text{NUV}}$.

Figure 5. Planetary radius gap in the $R_p$–$I_{\text{FUV}}$ (excess FUV planetary irradiation) plane. The blue line and translucent area are the best fit to the gap and bootstrapped 1σ uncertainty. In the right panel, the best fit has been subtracted in log space, aligning the gap to the histogram. As with instellation, there is a strong positive relationship between the radius gap and $I_{\text{FUV}}$. 

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intersection of the samples in Figures 3 and 4. We found that the gap is no deeper in the $R_p - I$ plane than in the $R_p - S$ plane (Figures 8 and 9).

Positive results in Sections 3.1 and 3.2 would have been evidence for XUV evaporation. However, the null results carry little weight. If the present-day NUV$_e$ emission of stars does not trace past differences in their XUV emission, XUV evaporation would produce no inherent radius gap—L$_{NUV}$/L$_{bol}$ relationship.

Because the null results of the NUV analysis are uninformative, we will not discuss them further in this paper, instead focusing on the more informative results that rely on stellar mass. However, the potential power of the tests in Sections 3.1 is motivation to search for observational diagnostics that could trace the early XUV emission of individual stars observed late in life.

3.3. No Relationship between Host Star Mass and the Location of the Radius Gap after Accounting for Variations in Instellation

We applied the same tests described in Section 3.1, but using host star mass in place of L$_{NUV}$/L$_{bol}$. The location of the gap does not vary for populations of planets orbiting stars in various mass bins (0.6–0.8, 0.8–1.0, and 1.0–1.2 $M_\odot$; Figure 10). Similarly, after S-detrending, the radius gap shows no statistically significant trend with stellar mass (slope $-0.02 \pm 0.05$; Figure 11). When we restricted the planet sample to that of Fulton & Petigura (2018) to ensure consistency in the measurement of system parameters, the slope became $-0.00 \pm 0.07$. The substantial increase in uncertainty results from the comparatively confined stellar mass range of the Fulton & Petigura (2018) sample.

We did not test for any change in the depth of the gap when plotted in the $R_p - M$ plane versus the $R_p - S$ plane, analogous to that described in Section 3.2. In the $R_p - M$ plane, differences in the instellations of planets orbiting stars of similar mass will introduce large amounts of scatter, partially filling the gap. Therefore, the gap should not be any deeper in the $R_p - M$ plane than the $R_p - S$ plane.

4. Discussion

XUV evaporation should imprint a stellar mass dependency on the exoplanet radius gap. As discussed in the introduction, because $L_{XUV}/L_{bol} \propto M_*^{-2}$, lower mass stars can strip
atmospheres from larger planets at a given $S$. Hence, after accounting for differences in $S$, the gap should move to greater radii for planetary populations orbiting lower mass stars. We do not observe this. However, whether this result is significant depends on whether the trend predicted under XUV evaporation is strong enough to be detectable.

To interpret the nondetection of a radius gap—stellar mass dependency, we simulated the atmospheric stripping of a synthetic planetary population. For this, we used the minimum analytical XUV evaporation model described in Owen & Wu (2017; see also Owen & Campos Estrada 2020 and Wu 2019).

This model begins with a population of planets that are Rayleigh distributed in core mass ($s = \sigma M^3$) and with a uniform distribution of atmospheric masses between 1% and 30%. We initialized the population with the host star masses and planetary orbital periods of the real-world sample. We assumed the same XUV emission model as in Owen & Wu (2017), $L_{\text{XUV}} = 10^{-3.5} \frac{L_C M_*}{M_{\odot}}$ for 100 Myr followed by a $t^{-1.5}$ decline. The model steps through time, solving for the
radius of the optically thick atmosphere of a given planet, determining the amount of XUV energy that atmosphere absorbs, and computing the amount of atmospheric mass the absorbed energy liberates, assuming 10\% efficiency.

The simulation produces a radius gap similar to that of the actual planetary population. Figure 12 plots the simulated planetary population in the \( R_p - S \) plane, with a fit to its gap and the fit to the gap in the real planet population overplotted. The slopes of the gaps are identical. However, they differ notably in location. The same discrepancy is not present in Owen & Wu (2017); the location of their simulated gap matches reality. The cause of the difference is the assumed host star masses. Owen & Wu (2017) initialize their simulation with stars Gaussian distributed around a median mass of 1.3 \( M_\odot \) with \( \sigma = 0.3 M_\odot \). We initialize our simulation with the actual host star masses, median mass 0.96 \( M_\odot \). The greater luminosities of the stars in the Owen & Wu (2017) simulation yield planet instellations roughly an order of magnitude larger than those of the actual planet sample. At those instellations, the location of the simulated gap is at 1.8 \( R_\oplus \), as observed. However, XUV evaporation simulations of planetary populations can be tweaked to match reality better. Wu (2019) reproduces the observed gap with the same model using actual host star masses. One possible factor enabling the better agreement between the simulated and real radius gap in Wu (2019) is that Wu (2019) prescribes a variable mass-loss efficiency.

We tested the simulated planetary population for a dependency between the radius gap and stellar mass after...
S-detrending, just as we did with the actual planet population. A stellar mass dependency is clear in the simulated sample, with a radius gap slope of \(-0.11^{+0.02}_{-0.03}\) (Figure 13). This confirms that under XUV evaporation, the radius gap should be inversely related to stellar mass when the underlying dependency on instellation has been removed.

The simulation shown in Figures 12 and 13 is an ideal case, assuming no measurement errors, no star-to-star variations in UV activity, and uniform system ages. In reality, a bevvy of complications blur the radius gap and its dependencies on system parameters:

1. Adding measurement uncertainty to the planetary radii, stellar masses, and planetary instellation increases the error on the recovered slopes. At 10% radius error, all other values assumed exact, the significance of the simulated trend with stellar mass is reduced to 3\(\sigma\). At 20% radius error, most fits to bootstrapped samples do not converge. The effects of errors on stellar mass and planetary instellation are less severe. For example, with 20% errors on stellar mass, the significance of the simulated trend becomes 6\(\sigma\).

2. Evolving the planets to the catalog ages of the systems (bootstrapping the \(\sim 10\%\) of systems without catalog age values) has little effect. This is because system ages are almost all \(> 1\) Gyr, whereas most atmospheric stripping occurs within the first 100 Myr.

3. Incorporating an updated stellar XUV evolution model weakens the radius gap slope to \(-0.07 \pm 0.01\) in the \(S\)-detrended \(R_p-S\) plane. The updated model is a simplification of the results presented in McDonald et al. (2019), with \(L_{XUV}/L_{bol} \propto 10^{-3.7}(M_*/M_\odot)^{-2.2}\) for 100 Myr followed by a \(t^{-1.2}\) decline.

4. Varying the stellar XUV flux by 0.5 dex to mimic the observed variability in X-ray and UV emission between stars (see Introduction) weakens the gap slope to \(-0.06 \pm 0.02\) in the \(S\)-detrended \(R_p-S\) plane. It is notable that the gap itself, not just its stellar mass dependency, remains detectable in spite of this scatter, meaning that the XUV evaporation model is robust to variability in the XUV evolution of individual stars. However, possible order of magnitude differences in saturation timescale between individual stars could make this 0.5 dex prescription optimistic (see Section 1).

To create the most realistic simulation possible, we combined the above modifications into a single simulation. We injected measurement errors at the median levels of the actual population: 5% in \(R_p\), 3% in \(M_*\), and 7% in \(S\). The resulting population (Figures 14 and 15) does not have a detectable radius gap - stellar mass trend. Its radius gap has a slope of \(-0.035^{+0.02}_{-0.03}\) in the \(S\)-detrended \(R_p-S\) plane, consistent with the \(-0.02 \pm 0.05\) radius gap slope of the actual population. Hence, our tests ultimately do not exclude XUV evaporation as the primary cause of the radius gap. Core-powered mass loss also remains viable as a primary cause of the radius gap because it involves no mechanism that would produce a dependency on host star mass after \(S\)-detrending.

The line of reasoning we have developed could plausibly discriminate between these theories with an expanded exoplanet sample. As the exoplanet sample increases, particularly as the diversity of host-star masses grows, the sensitivity of the test for a radius gap—stellar mass trend improves. Adding a sample of 2000 exoplanets with host star masses drawn from a uniform distribution across 0.3–2.0 \(M_\odot\) to the existing sample yields a \(>3\sigma\) trend in our simulation.

The XUV evaporation and core-powered mass-loss theories are not mutually exclusive. It is well established that XUV radiation is what heats the upper atmospheres of solar system
planets, resulting in slow Jeans escape of light species (e.g., Hunten 1993). Both XUV evaporation and core-powered mass loss likely operate with varying efficacy over the course of every planet’s life. However, our tests with stellar mass indicate that XUV evaporation might not be the dominant cause of the radius gap.

4.1. Previous Results of the Radius Gap Relationship with Stellar Mass

Four previous studies have explicitly examined the relationship between stellar mass or equivalent properties and the radius of the gap. Zeng et al. (2017) split up all confirmed and candidate planetary systems in the NASA Exoplanet Catalog into late-M, early-M, K, and G star groups. They noted an increase in the radius of the gap toward earlier host star types. They posit that this relationship is a result of higher planetary masses around stars of earlier type. A more in-depth analysis by Wu (2019) of planetary radii versus host star mass reaches the same conclusion, using the model of Owen & Wu (2017) to simulate atmospheric stripping for a population of planets where the mass of the planetary cores depends on the mass of the host stars. They find that they can reproduce several features of the planetary population that vary with stellar mass, including the radius where the super-Earth population peaks, the radius where the gap is deepest, and the radius where the sub-Neptune population peaks.

We offer an alternative interpretation of these results. A direct relationship between the mass of planetary cores and the mass of the host stars will undoubtedly influence the demographics of the planetary population. The relationship would cause the typical radius of sub-Neptunes to increase with stellar mass, all else being equal. This in turn would leave fewer planets small enough to have their atmospheres stripped, depleting the population of super-Earths as stellar mass increases. However, the location of the radius gap would not change. Under the XUV evaporation model, atmospheric stripping is a simple energy balance between a planet’s gravity and its XUV irradiation. If the XUV irradiation is kept constant, the transition between planets that can retain a primordial atmosphere and planets stripped of them will occur at the same core mass and radius. If the distribution of core masses (and radii) is changed, the populations on either side of the gap will adjust accordingly, but the radius gap itself will not move. Only second-order shifts might result from changes to the number density of sub-Neptunes and super-Earths.

To validate the reasoning that the radius gap should not depend on planetary masses, we simulated atmospheric stripping using a distribution of planet masses dependent on host star mass. Specifically, we drew core masses from a normal distribution in log space with a mean mass of $M_{\text{core}} = 8M_\oplus(M_*/M_\odot)$ and a standard deviation of 0.3 dex, the preferred model of Wu (2019). To isolate the effect of the assumed mass distribution, we kept all other parameters of the model identical to the simulation described in Section 4. Figures 16 and 17 show the results.

The radius gap fits to the population synthesized with a star-planet mass correlation are nearly identical to the population synthesized with no such correlation. From this, we conclude that the radius gap itself is insensitive to the initial planetary mass distribution, as expected. However, a relationship between host star and planet masses could nonetheless exist. The shape of the super-Earth and sub-Neptune distributions are sensitive to

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**Figure 16.** The instellation dependency of a simulated radius gap generated by XUV evaporation. In this simulation, planetary core masses depend linearly on the host star mass following Wu (2019); see text. The radius gap formed in this simulation has a slope of 0.11 with respect to log$_{10} S$ and crosses 1.59 $R_\oplus$ at $S = 100 S_\odot$ (blue line), compared to 0.10 and 1.58 $R_\oplus$ for the original simulation (Figure 12). The orange line shows the radius gap fit to the actual exoplanet population. This demonstrates that the radius gap does not significantly depend on the initial planetary mass distribution in an XUV evaporation simulation.

**Figure 17.** The stellar mass dependency of a simulated radius gap generated by XUV evaporation. In this simulation, planetary core masses depend linearly on the host star mass following Wu (2019); see text. The radius gap formed in this simulation has a slope of $-0.1120$ with respect to $M_\star$ (after $S$-detrending) and crosses 1.57 $R_\oplus$ at $M_\star = 1 M_\odot$, compared to $-0.1117$ and 1.55 $R_\oplus$ for the original simulation (Figure 13; values quoted with excess significant digits to illustrate the smallness of the difference between simulations). The orange line shows the radius gap fit to the actual exoplanet population. This demonstrates that a planet-star mass correlation has minimum impact on the inverse relationship between the radius gap and stellar mass after $S$-detrending.
the initial planetary masses, and Wu (2019) shows that a planet-star mass correlation reproduces them well.

Returning to the results of other works addressing the mass-dependency of the radius gap, Fulton & Petigura (2018) found a positive relationship between the radius gap and host star mass in the CKS–Gaia sample. They conclude that this relationship supports the XUV evaporation model, arguing that the population of sub-Neptunes should shift to lower instellations for lower mass stars because lower mass stars emit a larger fraction of their lifetime radiation in the XUV range. However, shifting the sub-Neptune population to lower instellations without shifting the super-Earth population would widen the gap in the $R_p$–$S$ plane and move the radius at the center of the gap to a higher value. This would cause the radius of the gap to increase with decreasing stellar mass, which contradicts the observed trend.

Gupta & Schlichting (2019b) simulated populations of planets subjected to the core-powered mass-loss mechanism to compare to observations. They were able to recover the observed dependency on stellar mass when using the same distributions of stellar masses, luminosities, and planetary orbital periods as the observed sample. They attribute the radius gap—stellar mass trend to the strong relationship between stellar mass and luminosity that could bias planets orbiting more massive stars toward greater instellations. Our independent recognition of the importance of instellation in possible stellar mass trends is what motivated the initial planetary masses, and Wu (2019) shows that a planet-star mass correlation reproduces them well.

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Based on our analyses, we conclude that the simplest explanation for the results from Zeng et al. (2017), Fulton & Petigura (2018), and Wu (2019) is the underlying correlation between planet instellation and stellar mass first recognized by Gupta & Schlichting (2019b). In Figure 18 we plot this correlation for a sample of planets similar to the Zeng et al. (2017) and Fulton & Petigura (2018) samples. Despite the large scatter, a trend is clearly present. For the Zeng et al. (2017) planets, a Spearman rank-order correlation test yields an $r$ of 0.32 and a $p$-value of $10^{-90}$, and for the Fulton & Petigura (2018) planets, an $r$ of 0.36 and a $p$-value of $10^{-38}$. These correlations are of high confidence. Classifying the sample by stellar type according to the stellar radius cuts in Zeng et al. (2017), we find median instellations of 6.3 $S_\odot$ for planets orbiting late-Ms ($N = 24$), 15 $S_\odot$ for early-Ms ($N = 242$), 62 $S_\odot$ for Ks ($N = 1568$), and 100 $S_\odot$ for Gs ($N = 798$). Wu (2019) adopted the orbital periods and stellar masses of an actual exoplanet population as simulation input, thereby implicitly incorporating a correlation between stellar mass and planetary instellation in their XUV evaporation simulations.

The larger instellations of known planets orbiting more massive stars means that atmospheres can be stripped from larger planets according to both the XUV evaporation and core-powered mass-loss models. This provides a simple explanation for the dependency of the gap on stellar type observed by Zeng et al. (2017) and Fulton & Petigura (2018) and reproduced in simulations by Wu (2019) and Gupta & Schlichting (2019b), as well as the results of this paper. Our analysis has shown that when instellation has been accounted for, no detectable dependency on stellar mass remains (Figures 10 and 11).

### 4.2. A Related Study of the sub-Jovian Desert

McDonald et al. (2019) recently investigated a different feature in the planetary radius-instellation plane from the perspective of stellar mass and activity, the sub-Jovian desert. The sub-Jovian desert refers to a lack of planets with radii in the sub-Neptune to Jupiter range and orbital periods of a few hours to a few days. McDonald et al. (2019) constructed a sophisticated model to predict the lifetime-XUV irradiation of these planets based on host-star mass. They find that plotting planetary radii versus predicted lifetime-XUV exposure sharpened the lower edge of the sub-Jovian desert, and the planetary radius of the edge increased with decreasing lifetime-XUV exposure, as expected. They take this as evidence for XUV evaporation as the cause of the sub-Jovian desert. This contrasts with our finding of no detectable dependence of the radius gap on stellar mass.

### 5. Summary and Conclusions

We have analyzed the relationship between the observed planetary radius gap and two candidate proxies for the early-life XUV radiation of stars: their present-day excess NUV flux, which is attributable to stellar activity ($NUV_e$), and their mass. Our aim was to search for empirical evidence of XUV evaporation in the population of known planets.

The radius of the gap shows no dependence on the fractional NUV$_e$ emission of the stellar hosts ($L_{NUV_e}/L_{bol}$). This could simply indicate that the present-day activity level of stars is a poor correlate for their early-life activity, and is not evidence against XUV evaporation as the cause of the radius gap. As a product of this work, we make available a catalog of NUV and FUV measurements or upper limits from the GALEX observatory archive for nearly all stars that are currently known to host planets.

The radius of the gap also shows no statistically significant trend with stellar mass after accounting for differences in planetary instellations. This accounting is critical to remove the effects of an underlying correlation between instellation and host star mass in the exoplanet sample. Tests with simulated planetary populations subjected to XUV evaporation suggest that an inverse trend between the radius gap and host star mass is detectable with the current exoplanet population under ideal conditions.
c ircumstances. However, adding plausible scatter in the XUV emission of individual host stars and realistic measurement errors, along with several less impactful factors, weakens the predicted stellar mass dependency and increases measurement uncertainties to the point that the simulated and observed radius gap trends are consistent within 1σ.

We found independently that the positive trend between the radius gap and stellar mass reported in several previous works can be explained by the underlying planetary instellation—stellar mass correlation, confirming the interpretation of Gupta & Schlichting (2019b). Furthermore, using XUV evaporation simulations, we showed that assuming a relationship between stellar and planetary masses does not appreciably change the radius gap trends retrieved by our analysis.

By detecting and accurately characterizing more exoplanets orbiting M and K stars to better sample disparate XUV emission histories, this line of evidence could eventually discriminate between core-powered mass loss and XUV evaporation as dominant causes of the radius gap. In addition, more precise empirical constraints on stellar XUV evaporation coupled with detailed modeling of planetary atmospheric loss are critical to increasing confidence in the predictions of the radius gap’s dependence on stellar mass under the XUV evaporation theory.

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This work is dedicated to (ultra)Violet Schneider, born 2018 August 2, whose auspicious name naturally predisposes her to great feats of UV science.

Facilities: GALEX, NASA Exoplanet Archive
Software: astropy (Astropy Collaboration et al. 2013).

Appendix A
Fitting the Gap

Fitting a model to the relationship between the location of the radius gap and some independent variable such as orbital period presents an unusual challenge. It requires selecting model parameters that result in, loosely speaking, the fewest data points possible near the model, rather than matching data to the model. Ideally, a model of the data would directly predict the planetary populations above and below the gap, thus fitting for the observed planets rather than the gap. However, this would require modeling the intrinsic planetary population, modeling the evolution of that population, and knowing and combining the detection completeness of each survey that contributed planets to the catalog. This is a daunting level of complexity with a great deal of room for systematic errors. Instead, it is more straightforward to simply fit the gap.

Several strategies have been employed in other works for this purpose. These all fit power-law relationships between the radius gap and the independent variable of choice, i.e., a linear model in log–log space. The techniques of which we are aware are listed below.

1. Finding the peaks of the planet distributions above and below the gap, then taking the slope of the gap model to be that of a line orthogonal to the line connecting those peaks (MacDonald 2019).
2. Computing the likelihood of the data, then finding the local minimum, rather than maximum, likelihood that places the model line within the gap (Van Eylen et al. 2018).
3. Binning the planets according to the independent variable (e.g., orbital period) and fitting a line to features of the planetary radii in those bins (e.g., the maximum planet radius below the gap, Van Eylen et al. 2018; or the radius of minimum planet number density, Martinez et al. 2019).
4. Using a support vector machine, a machine-learning method, to find the line that optimally separates the planets above and below the gap (Van Eylen et al. 2018).

The three different techniques used by Van Eylen et al. (2018) produced consistent results within 1σ uncertainties. The MacDonald (2019) approach has the advantage of requiring little human intervention in comparison to the methods used by Van Eylen et al. (2018) and the technique presented here. It is in principle possible to use unsupervised machine-learning to both identify the two populations of planets, as in MacDonald (2019), and then fit for a line optimally separating those populations, as in Van Eylen et al. (2018). However, we feel that it is reasonable to use human intelligence to guide a numerical optimizer that finds best-fit parameters for a gap model.

A.1. The “Deepest Gap” Method

In this work, we have employed a custom method to fit the radius gap. Our motivation to develop a custom algorithm versus using those already employed in the radius gap literature stemmed from a desire for three qualities:

1. that it use all the data available, in contrast to methods (3) and (4) of the previous section,
2. that it be reasonably insensitive to the effects of varying detection completeness, which might not be the case for method (1) of the previous section,
3. that it mimic the human intuition we use in visually identifying the gap.

These goals, in particular goal (3), led us to develop a method that finds the line along which the gap is deepest.

To do this, the algorithm subtracts a guess at the line describing the gap from the log of the planetary radii. Then, it
uses KDE to estimate the number density of planets (i.e., number of planets per increment in log radius) at the gap using the transformed data (e.g., Figure 3). For models that better align the gap, the density of planets in the gap is lower. The best fit is considered to have been reached when the depth of the gap is maximized (the number density of planets at the line of the gap is minimized). A Python implementation of this gap-fitting scheme is available on GitHub.⁵

We use a linear model of the gap defined by a slope, \( m \); a pivot point in the independent variable, usually the log of some property such as orbital period, \( x_0 \); and the log radius at mid-gap at that pivot point, \( \log_{10} R_0 \);

\[
\log_{10} R_{\text{gap}} = m(\log x_0) + \log_{10} R_0. \tag{2}
\]

The free parameters of the fit are \( m \), and \( \log_{10} R_0 \); \( x_0 \) is fixed. Choosing an \( x_0 \) near the center of the data is helpful because it minimizes correlations between \( m \) and \( \log_{10} R_0 \) in the fit. Theoretically, the choice of \( x_0 \) has no effect on the fit itself, but in practice, very strong correlations in fit parameters can sometimes pose a challenge to numerical optimizers. In principle, this fitting scheme could be used with more complicated functional models of the radius gap.

An important nuance is that the spread of the data in log radius after the gap line is subtracted will differ from the spread before subtraction, or, more importantly, relative to the spread when using a different guess at the gap line. After the transformation, we therefore normalize the data to unit variance in the gap-subtracted log radii.

Next, we apply KDE to the gap-subtracted variance-normalized log radii using a kernel width of 0.15 to estimate the density of planets at a gap-subtracted log radius of 0. Using KDE to estimate the density in the gap is a subjective choice. It could be done using a histogram or any arbitrary technique. We chose KDE because it incorporates all of the data and avoids the potential step function in density that would result from histogramming when points are shifted in and out of bins as the model parameters are varied. We chose a kernel width of 0.15 because it generally produced a clean bimodal distribution in planet density where the gap was apparent. Values a little lower (e.g., 0.1) generally yielded curves with >2 modes. Higher values would progressively blur the gap until it disappeared and the curve became unimodal around a kernel width of 0.4. The best-fit values were mildly sensitive to the choice of kernel width, but changes in the fit values were below 1σ uncertainties for kernel widths from 0.1 to 0.4 and there was no clear trend between the kernel width used and the slope of the best-fit line.

The density of the planets at the gap line was taken as the cost function for the fit and supplied to a numerical minimizer that found optimal values of \( m \) and \( \log_{10} R_0 \). A challenge of this scheme is that the gap represents only a local minimum in planet density. Hence, if the numerical minimizer takes a step large enough to leave the gap, it will simply begin moving the best-fit line further and further from the overall cluster of planets and will not converge. We eliminated this problem by constraining the fit to reasonable values of \( \log_{10} R_0 \)—essentially placing a prior on \( \log_{10} R_0 \) of (0.15, 0.35), equivalent to \( R_0 \) in the range (1.4, 2.2). The data were bootstrapped to estimate realistic uncertainties on the fit.

We tested our fitting method on the \( \log_{10} R \) versus \( \log_{10} P \) data for the asteroseismic sample of Van Eylen et al. (2018) and retrieved \( m = -0.100^{+0.02}_{-0.03} \). In comparison, the three techniques tested by Van Eylen et al. (2018) yielded \(-0.13^{+0.04}_{-0.05} \) (minimum likelihood fit), \(-0.05^{+0.03}_{-0.01} \) (fit to binned maximum planet radii), and \(-0.09^{+0.02}_{-0.04} \) (support vectors, chosen as their quoted value). Martinez et al. (2019) and MacDonald (2019) found slopes of \(-0.11 \pm 0.02 \) and \(-0.33^{+0.09}_{-0.12} \). The MacDonald (2019) is an outlier because they fit the peaks of the populations above and below the gap rather than the gap itself.

In our fits to the full sample, we found that the retrieved slope was sensitive to the bounds of the planet sample used. The slope generally stayed within 1σ of the slope from the full sample given the increase in uncertainty associated with constraining the sample. Progressively removing planets from the extremes of the period distribution had the greatest effect because this restricts the lever arm of the fit. Restricting the sample to a period range of (5, 15) days yielded a sample size half of the original, but yielded a slope of \(-0.02^{+0.05}_{-0.04} \). Below we list the results from several fits with varying bounds, given as period range: sample size, \( \log_{10} R_0 \), \( m \). We have averaged asymmetric errors.

| Period Range | Sample Size | \( m \) |
|--------------|-------------|--------|
| 1, 0.100     | 1548        | 0.249 ± 0.007, −0.08 ± 0.01 |
| 2, 0.10      | 861         | 0.25 ± 0.01, −0.10 ± 0.03 |
| 3, 10, 100   | 687         | 0.25 ± 0.03, −0.09 ± 0.04 |
| 4, 5, 50     | 993         | 0.24 ± 0.01, −0.05 ± 0.03 |
| 5, 10, 30    | 499         | 0.24 ± 0.03, −0.05 ± 0.10 |
| 6, 5, 15     | 751         | 0.24 ± 0.01, −0.02 ± 0.04 |
| 7, 0, 100    | 516         | 0.25 ± 0.01, −0.07 ± 0.02 |

Appendix B

A Few More Details on the Exoplanet Catalog

To construct a catalog of exoplanet parameters, we began with the catalog of comprehensive planet data for all confirmed exoplanets maintained by the NASA Exoplanet Archive. To this, we added the catalog of all candidate Kepler systems, excluding known false positives, downloaded on the same date. We used the gaia–kepler.fun cross-match catalog created by M. Bedell⁷ to add Gaia distance (Gaia Collaboration et al. 2018) and proper motion data for the Kepler candidate hosts.

At the time of writing, the NASA catalogs did not include the samples of planet radii that have most clearly exposed the gap, those of Fulton & Petigura (2018) and Van Eylen et al. (2018). Accurate planetary radii require accurate estimates of stellar radii, which Fulton & Petigura (2018) and the California Kepler Survey team obtained using spectroscopy for a sample of 1189 stars (1901 planets) and Van Eylen et al. (2018) obtained with asteroseismology of 63 host stars (117 planets). Both of the added catalogs include estimates of stellar mass and the Fulton & Petigura (2018) catalog includes planetary instellations and orbital semimajor axes that we used in our analysis. We added or replaced parameters in the NASA Archive catalogs with values from the Fulton & Petigura (2018) and, preferentially, Van Eylen et al. (2018) catalogs.

To this catalog, we added data on stellar NUV and FUV emission and corresponding exoplanet NUV and FUV irradiation from archival GALEX observations (see Section 2.1). GALEX measurements (not upper limits) of the host star’s NUV flux were available for 2384 planets (339 FUV) with radii

⁵https://github.com/parkus/gapfit
⁷https://gaia-kepler.fun
cases (6%). In these cases, we favored the NASA archive distance as likely to have been better vetted.

C.2. Comparison to Shkolnik (2013)

We compared the fluxes of the objects overlapping with the catalog of Shkolnik (2013) to identify discrepancies. Fluxes are compared in Figure 19. The agreement is good, with the small differences likely attributable to the use of different apertures. Shkolnik (2013) used the “auto” aperture values, whereas for this work we used the “APER_7” values. The auto-aperture is a KRON elliptical synthetic aperture of variable size intended to match the source size of potentially resolved galaxies. The APER_7 aperture is a 34.5 circular synthetic aperture. We used APER_7 primarily so that we could apply a saturation correction using the curves published in Morrissey et al. (2007), which are provided only for 34.5 and 3 apertures.

For NUV fluxes, in many cases we estimated upper limits above those estimated by Shkolnik (2013). This is likely due to our use of an upper limit from only a single GALEX visit of the target location. More restrictive upper limits are possible if all visits are coadded.

Outliers are identified in Figure 19. In the NUV, the only outlier is Kepler-38. An estimate of this star’s expected NUV flux based on its effective temperature and distance lies between that of this work and Shkolnik (2013). However, querying the GalexView online interface, the nearest object to Kepler-38 has a flux nearer to that of this work.

In the FUV, several outliers exist for which we measured fluxes orders of magnitude above the upper limits provided in Shkolnik (2013). In all cases, this seems to be a result of the GALEX catalog duplicating a source. This appears in the catalog as two sources within a few arcseconds of each other for which one has an NUV detection without an FUV detection and vice versa. Although initially these discrepancies with the Shkolnik (2013) catalog appeared only by happenstance, we afterward modified our GALEX retrieval script to treat these duplicates as a single source.

Figure 19. Comparison of GALEX fluxes retrieved by this work vs. Shkolnik (2013). Agreement is good, with most scatter likely due to differences in choice of synthetic aperture, sigma clipping, and method of extracting limits. In a few cases, the GALEX source catalog contained duplicate NUV-only and FUV-only detections of the same source, resulting in false negatives if these duplications were not found.

Appendix C

Vetting the GALEX Fluxes

C.1. Anomalies

For six planets, we estimate an NUV flux received by the planet that is higher than the planet’s installation as given in the NASA archive. Four of these systems had stellar luminosities given in the archive. For these, the NUV luminosity we computed was a reasonable fraction of the stellar luminosity (<5%). Meanwhile, an estimate of the planetary installation using the stellar luminosity, \( L \) and orbital semimajor axis, \( a \) (i.e., \( L/4\pi a^2 \)), yielded values 20–1000× the installation given in the archive. We therefore concluded that the planetary installations were in error. A closer examination of one target, HATS-18b, showed that the appropriate unit conversion had not been applied when the planet parameters were ingested into the NASA archive. This led us to exclude systems where the catalog installation deviated by more than a factor of 2 from \( L/4\pi a^2 \) when analyzing \( R_p \) versus \( S \) or when using detrending according to \( S \).

For four stars, the estimated NUV (and for DP Leo, the estimated FUV) luminosity exceeds 10% of the catalog bolometric luminosity:

1. DP Leo is a cataclysmic variable with an effective temperature of 13,500 K.
2. Kepler-1611 appears to be a poor Gaia match because the distance given in the NASA archive is 27,199 pc versus 27,199 pc from the gaia–kepler.fun catalog.
3. Kepler-953 is likely also a poor Gaia match, with a distance of 240 pc in the NASA archive and 1242 pc in the gaia–kepler.fun catalog.
4. Kepler-416 was likely incorrectly matched to a bright nearby star in the GALEX source catalog.

Of the 2813/2964 unique planet hosts with both Gaia (from the gaia–kepler.fun catalog) and literature (from the NASA archive) distances, the two differed by more than 50% in 179 cases. There are far fewer FUV detections because stars are generally much fainter in the GALEX FUV than the NUV, making them harder to detect.

<4 \( R_p \).
C.3. Absolute Magnitude versus Effective Temperature

We also examined absolute GALEX magnitude versus effective temperature to search for potential issues with the catalog (Figure 20). In general, the sources follow a clear trend. There is a substantial population of overluminous sources, but a log g cut shows that most of these sources are not main-sequence stars. Some of the remainder could be stars caught in a flaring state. However, the three highest outliers, Kepler-1611, K02962, and K04345, all had measurements from multiple GALEX visits and for each these measurements were consistent, suggesting their high fluxes were not simply due to a coincidental flare. For the NUV measurements, selecting only the stars with $4 < \log g$ (cm s$^{-1}$) < 5 and 3500 K < $T_{\text{eff}}$ < 7000 K and fitting a third-order polynomial to the resulting points, we find that 1.7% are beyond 3σ from the trend. The catalog also contains four stars with effective temperatures greater than 10,000 K not shown in Figure 20, yet GALEX magnitudes within the range expected of a main-sequence F, G, or K star. These appear to be all evolved hot subdwarfs.

Appendix D

Tests of Tests: A Proof of Concept using a Simulated Idealized Planetary Population

Discerning between the evaporation and core-powered mass-loss theories using UV data is challenging given the tight correlation between a planet’s instellation and its NUV or FUV irradiation. Hence, we constructed simulated idealized populations to explore a range of possible tests. In this section, we describe these experiments using a single population for simplicity.

The simulated population we present consists of a large sample of planets for clarity in this proof of concept, $N = 3000$, normally distributed in $R_p$ and NUV$_e$ irradiation. Because our purpose here was merely to explore the functionality of possible population tests, we used an ad hoc method of creating a radius gap that required essentially no time to run rather than using the Owen & Wu (2017) XUV evaporation model. This ad hoc method consisted of clearing an area of width 0.08 dex in $R_p$ and obeying the relationship $R_{\text{gap}} \propto I_{\text{NUV}}^{0.1}$ to mimic the observed relationship with $S$ and
We plot this starting population in Figure 21 along with the injected gap and the best fit to that gap produced by our custom algorithm. Our algorithm recovers the equation of the injected gap well.

Injecting a 1σ scatter of 0.5 dex in $L_{NUV}/L_{bol}$ (see Introduction) into the simulated planet populations to determine planetary instellations yields the distribution shown in Figure 22. The scatter in $L_{NUV}/L_{bol}$ partially fills the gap with planets. The scatter also stretches the $S$-axis relative to the $I_{NUV}/e$-axis, resulting in a weaker dependency of the gap on $S$ (lower value of the slope of the gap).

This is the theoretical starting point at which we begin to try to uncover the fact that the gap is better described by the NUV e irradiation of the planets than their instellation. We begin by describing the test that is, perhaps, the easiest to interpret. For this test, we binned the planets into three separate populations based on their $L_{NUV}/L_{bol}$. Then, we fit the gap in the $R_p - S$ plane for each of these populations. Because it was the NUV e radiation that created this fictional gap, the gap should move to higher $R_p$ for populations with higher average $L_{NUV}/L_{bol}$. Indeed, this was the result, as shown in Figure 23.

Next we attempted to discern a gap in the entire population with a dependency on $L_{NUV}/L_{bol}$. However, the large range in possible $I_{NUV}$ values for planets with similar $L_{NUV}/L_{bol}$, associated with a large range of gap radii, acts to obscure the gap in the $R_p - L_{NUV}/L_{bol}$ plane (Figure 24).

The obscuration of the gap in the $R_p - L_{NUV}/L_{bol}$ plane can be effectively removed by first detrending the planetary radii based on the $R_p - S$ dependency of the gap. By detrending, we mean subtracting the log planetary radii given by the $R_p - S$ fit from the actual log planetary radii. To avoid confusing the casual reader, we then add back the log radius at the reference $x$-value of the fit, e.g., 1.8 $R_p$ at 100 $S_{⊕}$, in log space. This accounts for the effect of the different instellation of a planet, based on its proximity to its host star and its host star luminosity, on the maximum size of the planets whose atmospheres can be stripped. All that is left after this detrending is the effect from the fraction of the light irradiating the planet that can power atmospheric stripping, or, in this case, a proxy for that fraction: $L_{NUV}/L_{bol}$. Larger fractions of atmosphere-stripping radiation push the gap to larger planetary radii, and this relationship shows through after $S$-detrending (Figure 25).

$I_{NUV}$ (Section 3). We plot this starting population in Figure 21 along with the injected gap and the best fit to that gap produced by our custom algorithm. Our algorithm recovers the equation of the injected gap well.

![Figure 23](image1.png)

**Figure 23.** The simulated planet population, split into three subpopulations based on even ranges of $L_{NUV}/L_{bol}$ and plotted in the $R_p - S$ plane. The location of the gap increases in $R_p$ for the subpopulations with larger $L_{NUV}/L_{bol}$, as shown by the best-fit lines. The fits to all three subpopulations are shown in each panel, with a thicker line with an error region that indicates the fit to the plotted population.

![Figure 24](image2.png)

**Figure 24.** The simulated planet population plotted in the $R_p - L_{NUV}/L_{bol}$ plane. The gap has been obscured due to the scatter from the large range of possible NUV e irradiation for planets with similar $L_{NUV}/L_{bol}$, which drives the radius of the gap in this idealized sample.

![Figure 25](image3.png)

**Figure 25.** The simulated planet population plotted in the shifted $R_p - L_{NUV}/L_{bol}$ plane, where "detrended" indicates that the $R_p$ values have been adjusted according to the fit to the gap in the $R_p - S$ plane. This removes the dependency of the radius gap on the instellation of planets and allows the residual dependency on the fraction of that irradiation that is better correlated with atmospheric stripping to show through.
Finally, another straightforward test is to compare how clean the gap is in the $R_p$–$S$ and the $R_p$–$I_{NUV}$ planes. This could be quantified in a number of ways, but the simplest is to measure the depth of the gap along the best-fit line. More precisely, this uses gap-subtracted planetary radii, where the log of the best-fit radius gap has been subtracted from the log of the planetary radii. However, the utility of this test is highly dependent on the assumed shape of the gap. In this simulation, the gap is highly idealized as a step function. In reality, the gap, even when plotted as a function of some causal variable, is likely to be partially filled (e.g., Owen & Wu 2017). This could make changes in the gap depth between a causal variable and some correlate of that variable hard to discern. Nonetheless, the test was worth performing, and in this idealized case, would have revealed a clear difference between the depth of the gap in the $R_p$–$S$ and $R_p$–$I_{NUV}$ plane that favors $I_{NUV}$ as better characterizing the gap (Figure 26).

### Appendix E

**Individual Gap Fit Plots for Planet Populations Binned by $L_{NUV}/L_{bol} \text{ and } M_*$**

In Section 3 we showed in Figures 6 and 10 three fits to the radius gap in the $R_p$–$S$ plane for three populations of planets sorted by their $L_{NUV}/L_{bol}$ and host star mass. We show the individual fits to the radius gap for these populations in Figures 27–32.
Figure 28. Planets in the $R_p$–$S$ plane for the population of planets orbiting hosts in the middle third of the $L_{NUV}/L_{bol}$ distribution. The blue line and translucent area are the best fit to the gap and bootstrapped 1σ uncertainty. In the right panel, the best fit has been subtracted in log space, aligning the gap to the histogram.

Figure 29. Planets in the $R_p$–$S$ plane for the population of planets orbiting hosts in the upper third of the $L_{NUV}/L_{bol}$ distribution. The blue line and translucent area are the best fit to the gap and bootstrapped 1σ uncertainty. In the right panel, the best fit has been subtracted in log space, aligning the gap to the histogram.

Figure 30. Planets in the $R_p$–$S$ plane for the population of planets orbiting hosts in the lower third of the host star mass distribution. The blue line and translucent area are the best fit to the gap and bootstrapped 1σ uncertainty. In the right panel, the best fit has been subtracted in log space, aligning the gap to the histogram.
Figure 31. Planets in the $R_p$–$S$ plane for the population of planets orbiting hosts in the middle third of the host star mass distribution. The blue line and translucent area are the best fit to the gap and bootstrapped 1σ uncertainty. In the right panel, the best fit has been subtracted in log space, aligning the gap to the histogram.

Figure 32. Planets in the $R_p$–$S$ plane for the population of planets orbiting hosts in the upper third of the host star mass distribution. The blue line and translucent area are the best fit to the gap and bootstrapped 1σ uncertainty. In the right panel, the best fit has been subtracted in log space, aligning the gap to the histogram.

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