ShaKer: RNA SHAPE prediction using graph kernel

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Abstract

Summary: SHAPE experiments are used to probe the structure of RNA molecules. We present ShaKer to predict SHAPE data for RNA using a graph-kernel-based machine learning approach that is trained on experimental SHAPE information. While other available methods require a manually curated reference structure, ShaKer predicts reactivity data based on sequence input only and by sampling the ensemble of possible structures. Thus, ShaKer is well placed to enable experiment-driven, transcriptome-wide SHAPE data prediction to enable the study of RNA structuredness and to improve RNA structure and RNA–RNA interaction prediction. For performance evaluation, we use accuracy and accessibility comparing to experimental SHAPE data and competing methods. We can show that Shaker outperforms its competitors and is able to predict high quality SHAPE annotations even when no reference structure is provided.

Availability and implementation: ShaKer is freely available at https://github.com/BackofenLab/ShaKer.

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1 Introduction

Secondary structure plays an important role for the function of RNA molecules. The conservation of secondary structure is a central feature to determine classes of non-coding RNAs consisting of molecules that have similar structure and function (Bateman et al., 2017; Miladi et al., 2017; Will et al., 2007). In contrast, the importance of structure for mRNA function is less well understood. While there are well-known examples for structured RNA elements in the 5’ and 3’ untranslated regions with regulatory roles, the situation is more complex for the coding region. Albeit ribosomes show helicase activity, and thus active translation leads to transient unfolding of the mRNA structure, there is evidence for a regulatory role of mRNA structure (Rice et al., 2018).

For that reason, it would be advantageous to know the structure of (m)RNA on a genome-wide level to study such effects. SHAPE-seq (SHAPE=Selective 2’-hydroxyl acylation analyzed by primer extension) experiments offer an approach to investigate mRNA structure on such a large scale (Choudhary et al., 2017; Katrina and Alain, 2017; Rouskin et al., 2014; Zubradt et al., 2017). In such an experiment, free nucleotides of a (folded) RNA are exposed to an acylation process that stops the polymerase in the subsequent sequencing step. Based on that, a reactivity estimation is calculated for each nucleotide. This SHAPE data encode the ‘structuredness’ of the molecule. There are similar experimental methods to SHAPE. One of them is DMS (Russell et al., 2007) which uses dimethyl sulfate to experimentally probe the accessibility of cytosine and adenine only.

While SHAPE experiments showed that mRNA is frequently structured, they often lacked quantitative precision and coverage to determine mRNA structure on an individual gene level. An exception is a recent work by Mustoe and co-workers (Mustoe et al., 2018), who showed translational efficiency is correlated with mRNA structure. Thus so far there is a lack of suitable experimental data, which calls for computational methods to model the missing RNA structure information. Thermodynamic approaches like Mfold (Zaker, 2003) or RNAfold (Lorenz et al., 2011), while successful for short RNAs, have problems in modeling the structure of longer RNAs and especially for mRNAs. Local approaches (Hofacker et al., 2006; Lange et al., 2012) do improve this situation, however, mRNA structure is still very challenging for thermodynamic approaches. In order not to do SHAPE experiment for each RNA, a couple of computational methods were developed to approximate SHAPE information. Sükösd et al. (2013) estimated probability
distribution functions for the nucleotides in unpaired, stacked and helix-end regions based on the experimental SHAPE data on two long ribosomal RNAs in the mentioned regions. Another method (Montaseri et al., 2017) is based on k-mers of RNA sequence on helices, loops and the helices that comprise pseudoknot regions as their SHAPE are obtained as the average of available SHAPE data on RNAs in the above regions. In these methods, the real structure of an RNA (or a respective prediction using a thermodynamic model) is required to decompose the given sequence into the mentioned regions and subsequently estimate its SHAPE data.

To the authors’ knowledge, there exists no method to learn and predict SHAPE data on RNA sequences without known structures. For that reason, we set out to predict an RNA’s SHAPE information from its sequence only, using a machine learning approach. We present a new tool called ShaKer, ‘SHAPE prediction using graph Kernel’, which is trained on available experimental SHAPE data to approximate SHAPE experiments in silico. In transcriptome-wide high-throughput studies, for instance, reactivities cannot be obtained if the RNA is not (highly) expressed/transcribed within the cell. For such cases, ShaKer can be trained on other expressed RNAs and used to predict missing data. Furthermore, such in silico SHAPE data might also be useful to improve the prediction of intramolecular structure (Hajdin et al., 2013; Montaseri et al., 2016) as well as RNA–RNA interaction (Miladi et al., 2019).

To evaluate ShaKer’s performance, we compare its predicted SHAPE information to experimental data and to results from purely thermodynamic modeling when no reference structure is available. ShaKer outperforms the unguided thermodynamic predictions both in terms of accessibility as well as base-pair accuracy. These results suggest that the thermodynamic model may not be sufficient to reflect all the relevant energy terms for the identification of RNA’s functional structure. Furthermore, we compare ShaKer with the approach from Sukosd et al. for given reference structures. Also here, ShaKer shows superior results in both categories. This demonstrates that ShaKer is able to model highly accurate SHAPE information and is well placed to support RNA structure studies with missing information. Since we learn ShaKer’s model from experimental data, the steady growth of available SHAPE experiments will further improve its prediction accuracy.

2 Materials and methods
2.1 Definitions
An RNA sequence is a word over the alphabet of nucleotides (A, C, G, U). Here, we consider the base pairings AU, CG and GU as complementary. An RNA secondary structure \( S \) is a list of pairs of indices that indicate complementary base pairs in the RNA sequence. Each nucleotide can only participate in one base pairing. W.l.o.g., we restrict the base pairs of \( S \) to be non-crossing, i.e. there are no two base pairs \( (i, j), (i', j') \in S \) such that one is not enclosed by the other \( (i < i' < j < j') \). The free energy \( E(S) \) of such a secondary structure \( S \) can be estimated using the Nearest Neighbor model and empirically derived parameters (Turner and Mathews, 2010). A reference structure is a structure that was manually curated based on literature. RNA’s SHAPE data are a vector of non-negative real numbers, which assigns to each nucleotide position the respective reactivity estimate.

2.2 Graph processing
In order to encode RNA secondary structure for our machine learning approach, we encode them as labeled graphs. A graph consists of edges (E) and vertices (V) and their labels. The RNA-graph is generated as follows. First, we use the sequence to generate a path graph, where the vertices are labeled according to the nucleotides in the sequence. The edges of the path graph are labeled as ribose-phosphate backbone. Second, we encode the structure by introducing edges between the vertices that correspond to a base pair and label them as hydrogen bond.

Graph kernels, typically used to calculate the distance between graphs, enable graphs to be used with kernelized machine learning methods like support vector machines. The Neighborhood Subgraph Pairwise Distance Kernel (NSPDK) of the ‘EDeN’ package (Costa and Grave, 2010) allows us to extract feature vectors for every node in a graph. NSPDK is a Weisfeiler–Lehman kernel (Leeuwen, 2011), except that it does not only consider the immediate neighborhood of a vertex but considers pairs of neighborhoods of vertices in close proximity. The neighborhood of a vertex is the subgraph that is induced by all vertices that are within a certain number of edges. The NSPDK graph kernel has two main parameters \( r \) for the radius of the neighborhood subgraphs and distance \( d \) for the maximum distance between neighborhood subgraphs. For a given node \( v \), the following features are extracted

\[
\{h(h_s(N^r(v)), h_s(N^r(w))) \mid s \in \{0, r\} \land w \in V \land \text{distance}(v, w) \leq d \}
\]

Where \( h \) is a hash function, \( h_s \) a hash function on graphs and \( N^r \) extracts the neighborhood subgraph of a vertex. The size of the resulting vector depends on the bit-length of the hash function \( h \), resulting in a feature vector of size \( 2^{\text{bit-length}} \).

2.3 RNA structure and probability estimation
For predicting SHAPE reactivities, we rely both on experimental SHAPE training data as well as secondary structure. In our context it is adequate to work with the structures that are most likely to occur in the thermodynamic model. Conveniently, the ViennaRNA package (Lorenz et al., 2011) provides tools for secondary structure prediction under minimization of the free energy of a given sequence using the nearest neighbor energy models. We use RNAfold to calculate free energy \( E_M \) of the structure ensemble \( M \) and RNAsubopt to sample structures \( S \) from \( M \) according to their Boltzmann probability. The latter is given by \( P(S) = \exp(-E(S)/RT)/Z \), where \( T \) denotes the temperature, \( R \) the gas constant and \( Z \) the ensemble’s partition function computed by \( -RT \log(E_M) \).

2.4 Regression model
Model training. Gradient tree boosting (Chen and Guestrin, 2016) is an ensemble-based machine learning method that improves on random forest by taking previously trained trees in account. We use a regressor based on this method and train it on experimental SHAPE reactivity values and the feature vectors obtained by vectorizing the vertices of the reference structure induced RNA-graph with the EDeN graph kernel to predict SHAPE values. For each vertex there is exactly one feature vector. See Figure 1 for an overview of this process. In practice, SHAPE annotations can be unavailable for individual positions. Whenever the reactivity annotation for a nucleotide is missing, that vertex is ignored for training.

Reactivity prediction. Figure 2 shows how we use these tools to estimate SHAPE data for a given sequence of length \( n \). The \( m \) structures and the associated probabilities are sampled as described previously. We call the unit norm of the probabilities \( \pi \). From the sequence and the structures we generate \( m \) RNA-graphs whose vertices are vectorized by the graph kernel. Using the trained model,
SHAPE reactivities are predicted. Since every nucleotide in the sequence has now predictions, one corresponding to each RNA structure graph, we compute a weighted average of the reactivities with the probability vector of the sampled structures. This is done by multiplying the \( n \times C/2 \) matrix of predictions by vector \( p \).

Eventually, we are thereby combining the standard thermodynamic model (used for structure sampling and probability computation) with our model trained on experimental SHAPE data. The resulting combined reactivities are thus not biased toward a single (arbitrary) user-provided structure [as done in Süksösd et al. (2013) and Montaseri et al. (2017)] but are guided by the structural ensemble that can be formed by the sequence.

### 2.5 Hyperparameter optimization

For EDeN we tested parameters \( r \) and \( d \) in the range of 0.4. We used 16-fold cross-validation on the 16 sequences with a random forest regressor and compared the Spearman’s correlation with the experimental data to determine the best configuration. The default values, 3 and 3, performed best. For the regressor, we generated RNA-graphs from all 16 sequences and vectorized all vertices to obtain a joint dataset. Random search with 3-fold cross-validation was performed to obtain our final parameters. Optimal parameters for RNAsubopt were inspired by Deforges et al. (2017). Namely we sample 60 structures with a maximum base-pair range of 150.

### 2.6 Software and data

ShaKer is implemented in Python and freely available at github. ShaKer depends on several libraries e.g. NetworkX (Daniel et al., 2008), Matplotlib (Hunter, 2007) and Scikit-learn (Pedregosa et al., 2011).

All data used in this work are made available in an accessible format in our ShaKer github repository. The input is in a single `.dbn` file which is a FASTA file where each sequence is followed by a dot-bracket-string line and a `.react` file that contains a sequence name header followed by pairs of nucleotide position and SHAPE reactivity value.

### 3 Results

Our ShaKer method predicts SHAPE reactivities for any RNA sequence employing a regression model. The model is based on a graph-kernel encoding secondary structure and is trained on a dataset of RNA sequences with experimentally determined SHAPE reactivities. The main advantage compared to previous approaches is that it does not require a reference structure for the prediction step, which implies that it can be used on RNA with unknown structure.

We tested ShaKer by analyzing the publicly available SHAPE (Deigan et al., 2009; Hajdin et al., 2013; Montaseri et al., 2017) dataset to evaluate the quality of SHAPE reactivity prediction for RNAs with unknown reference structure. Furthermore, we also compared ShaKer to the Süksösd et al. method (Süksösd et al., 2013) and to the thermodynamics-based predictions by RNAfold. The method by Süksösd et al. uses the reference structure and annotates the strength of reactivity using different precalculated probabilistic models for bound and unbound nucleotides. We use the median performance of five runs on the Süksösd et al. method. Our method does not require a reference structure to predict the reactivity profile. However, the prediction quality is necessarily better when using a reference structure as prior information. For that reason, when comparing to Süksösd et al., we provide only the RNA-graph induced by the reference structure to guarantee a fair comparison. The method of Süksösd et al. was derived from SHAPE data of ribosomal RNA; we use the ribosomal RNA in our dataset for training and the rest for testing.
3.1 Accessibility correlation

SHAPE reactivities are a proxy for accessibility of nucleotides. Although it is feasible to directly compare the reactivity vectors of the experimental and predicted SHAPE reactivities, it is more desirable to compare the resulting accessibility profiles as they are directly interpretable. This evaluation is also more reliable than a direct comparison of SHAPE profiles due to the stochastic nature of the probing experiments and experiment-specific biases. To make the evaluations comparable between SHAPE values obtained from separate experiments with different conditions, we chose to compare the performances over the SHAPE-assisted accessibility predictions.

Accessibility, also termed unpaired probability, calculates the probability that sequence nucleotides are unpaired across the ensemble of possible structure formations. The accessibility for a given RNA sequence can be predicted using RNAplfold (Lorenz et al., 2016). RNAplfold has two modes for predicting accessibility. The first mode is relying purely on the thermodynamic model for RNA secondary structure. In the second mode, SHAPE data are used as an additional input to assist the prediction of accessibility. Technically, this is solved by transforming SHAPE data into pseudo-energy terms that are used in the evaluation of secondary structures (Deigan et al., 2009; Zarringhalam et al., 2012). The second mode is preferable as accessibility induced by experimental SHAPE data is our best estimation of the true accessibility and thus considered as the ground truth.

We evaluated how simulated SHAPE data improves the prediction of accessibility compared to the pure thermodynamic model. To compare the accessibility of a transcript, we calculate the accessibility profiles using different prediction methods and compare these profiles to the profile generated from SHAPE data using RNAplfold which uses the SHAPE-assisted mode as ground truth. The prediction performance is then assessed using Spearman’s rank correlations against the ground truth. We also report the standard deviation after a ‘±’. The mean can be found before this symbol and marked with a white circle in the figures. As shown in Figure 3, the prediction results by our ShaKer tool induce a better average correlation to the ground truth (0.895 ± 0.18) compared to Sukosd et al. (0.87 ± 0.17) even in the case of a known structure.

Since the accessibility is the probability of a position to be unpaired, it is a quantity that is related to the ensemble of all structures. Nevertheless, the reference structure usually has a high weight in the structure ensemble and should dominate accessibility values. To test this role of the reference structure as prior information, one can read off reactivities directly from the reference structure by assigning 1 to an unpaired nucleotide and 0 otherwise. In this case one does not need to consider the scale as RNAplfold will normalize the values. We call this the trivial binary predictor. It scores slightly worse than Sukosd et al. (0.86 ± 0.19), which shows that a given reference structure already provides a strong prior information.

For that reason, we compared the prediction quality for the more realistic case where the reference structure is not given. When the reference structure is not provided to the algorithm, we can only compare to the thermodynamic model since we already used the experimental SHAPE data to compute the reference accessibility and we are not aware of alternative tools. Here, we get an improvement of 2.6% (0.861 ± 0.17 versus 0.839 ± 0.16). This might seem like a small amount, but the folding process also takes into account the sequence, limiting the effect of the SHAPE data on the correlation.

3.2 Base-pair accuracy

One application for SHAPE data is the determination of functionally relevant secondary structure. Providing a folding algorithm with accurate SHAPE data should guide the prediction tool toward the manually curated reference structure. One could use the predicted minimum free energy structure for comparison, however, this would ignore predicted suboptimal structures in the vicinity of the reference structures. Thus, in order to compare a reference structure to a predicted structure ensemble, Lange et al. (Lange et al., 2012) introduced a measure similar to the maximum expected accuracy scoring for structure prediction. Here, the accuracy A of a reference structure in a predicted ensemble of structures is the sum of all probabilities for the base pairs of the reference structure:

\[
A(S|R) = \sum_{S} |S_i \cap S| \cdot p(S|R) = \sum_{(i,j) \in S} p(i,j)
\]

We calculate the probability of a base pair (i, j) under SHAPE input with the Vienna tool set (Lorenz et al., 2011) and report the average to account for varying sequence length.

In Figure 4, we see the evaluations according to the base-pair accuracy metric. When the reference structure is provided to the programs ShaKer (0.892 ± 0.096) performs slightly (1.9%) better than Sukosd et al. (0.875 ± 0.113). Our simulation when the reference structure is not available scores a mean accuracy of 0.679 ± 0.26 while the thermodynamic model alone performs lower with 0.629 ± 0.21. This is significant because it shows that you can use ShaKer to find potentially biologically relevant structures. Since we did not need to resort to using the wet lab data as ground truth, we included it in the evaluation. With 0.73 ± 0.29 it scores better than ShaKer.
Structural prediction for mRNAs has a limited quality as the transcript is often bound by RNA-binding proteins in vivo. Here, SHAPE-seq experiments offer an approach to investigate mRNA structure on such a large scale. The collected SHAPE reactivities can be used to guide the structure prediction toward the functional structure. However, SHAPE-seq data are limited and will not be available for many organisms or tissues. One way to overcome this problem is to use predicted SHAPE reactivities learned from available SHAPE reactivities instead of experimental ones.

In comparison to existing methods as e.g. Sükösd et al. (2013), we do not rely on a manually curated secondary structure for the input RNA. Thus, it can be applied to a large class of RNA sequences with unknown structures. Our ShaKer method learns the association of secondary structure elements and reactivity in a regression approach using a graph kernel to represent secondary structures. To abstract from individual structures, we sample the possible structure space and weight the considered structures with respective Boltzmann probabilities.

For the comparison of the ShaKer method with other tools, we did not compare SHAPE profiles directly but relied on biologically more relevant information for the comparison, namely the accessibility profiles and the base-pair accuracy of the reference structure within the SHAPE-guided predicted structure ensemble. SHAPE reactivities are considered as proxy for the accessibility of positions, which is important information as it provides e.g. hints for binding sites of RNA-binding proteins.

We compared ShaKer with the tool presented by Sükösd et al. (Sükösd et al., 2013) as it established a state-of-the-art SHAPE prediction tool. The latter requires a single input structure. Thus we also only use the reference structure for ShaKer predictions. That way, we compare the predictive power of the learned models. Albeit the secondary structure as prior information already provides a lot of information about accessibility, we were able to improve the already good results by Sükösd et al. by 2.9%.

Our ShaKer approach is, in contrast to Sükösd et al., per se able to predict SHAPE reactivities in the absence of prior information about the structure. This is done by applying our model (trained on experimental SHAPE data) to a sampled set of secondary structures for the given sequence weighted by respective structure probabilities. We show that this approach provides a much better accessibility prediction compared to the pure thermodynamic accessibility profiles as calculated by RNAplfold (+2.6%). The improvement is even more visible when comparing the base-pair accuracy for known reference structures when using RNAplfold with or without ShaKer-predicted SHAPE reactivities (+7.9%). This shows that constraints implied by the ShaKer-predicted reactivities guide structure prediction toward the functional secondary structure. This results from the conversion of the reactivity data into pseudo-energy terms that are

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**Fig. 4.** Comparison of base-pair accuracy. Accuracy is the average probability of all base pairs in a single structure over the whole ensemble of possible structures. This structure is the reference structure in this case. We expect good SHAPE data to support the reference structure. In this test ShaKer performs significantly better than the thermodynamic model alone. The experimental data outperform both, which is a testament to its quality. Given the reference structure Sükösd et al. and ShaKer perform even better than SHAPE data which is not surprising since we evaluated for exactly that reference structure. ShaKer performs slightly better than Sükösd et al.

**3.3 Structured versus unstructured**

The benefits of our method are that we work on structured data and perform structure sampling while Sükösd et al. annotates based on single nucleotides. K-mer approaches are popular in bioinformatics and have a wide array of applications. One could see a k-mer approach as a combination of ShaKer and Sükösd et al. It could learn a sequence bias and quickly annotate sequences without requiring the reference structure.

By supplying ShaKer with path graphs only when training and predicting, we effectively mimic a gapped k-mer algorithm. Intuitively, choosing a vertex in a sequence path graph and its neighbors at distance 1 is effectively the same as selecting a 3-mer from the sequence. Figure 5 shows the performance of ShaKer in this configuration. Structured ShaKer (0.85 ± 0.15) clearly outperforms the unstructured version (0.74 ± 0.24).

**4 Discussion**

Structure prediction for mRNAs has a limited quality as the transcript is often bound by RNA-binding proteins in vivo. Here, SHAPE-seq experiments offer an approach to investigate mRNA structure on such a large scale. The collected SHAPE reactivities can be used to guide the structure prediction toward the functional structure. However, SHAPE-seq data are limited and will not be available for many organisms or tissues. One way to overcome this problem is to use predicted SHAPE reactivities learned from SHAPE-seq data instead of experimental ones.

We presented ShaKer to predict SHAPE reactivity on arbitrary RNA sequences. In comparison to existing methods as e.g. Sükösd et al. (Sükösd et al., 2013), we do not rely on a manually curated secondary structure for the input RNA. Thus, it can be applied to a large class of RNA sequences with unknown structures. Our ShaKer method learns the association of secondary structure elements and reactivity in a regression approach using a graph kernel to represent secondary structures. To abstract from individual structures, we sample the possible structure space and weight the considered structures with respective Boltzmann probabilities.

We compared ShaKer with the tool presented by Sükösd et al. (Sükösd et al., 2013) as it established a state-of-the-art SHAPE prediction tool. The latter requires a single input structure. Thus we also only use the reference structure for ShaKer predictions. That way, we compare the predictive power of the learned models. Albeit the secondary structure as prior information already provides a lot of information about accessibility, we were able to improve the already good results by Sükösd et al. by 2.9%.

Our ShaKer approach is, in contrast to Sükösd et al., per se able to predict SHAPE reactivities in the absence of prior information about the structure. This is done by applying our model (trained on experimental SHAPE data) to a sampled set of secondary structures for the given sequence weighted by respective structure probabilities. We show that this approach provides a much better accessibility prediction compared to the pure thermodynamic accessibility profiles as calculated by RNAplfold (+2.6%). The improvement is even more visible when comparing the base-pair accuracy for known reference structures when using RNAplfold with or without ShaKer-predicted SHAPE reactivities (+7.9%). This shows that constraints implied by the ShaKer-predicted reactivities guide structure prediction toward the functional secondary structure. This results from the conversion of the reactivity data into pseudo-energy terms that are
extending the thermodynamic model for structure prediction (Lorenz et al., 2016). Thus we conclude that the high-level structure information learned by ShaKer from experimental SHAPE data (in combination with structural ensemble information) implicitly mends the underlying energy model to reflect more complex rules for improved secondary structure prediction.

Next, we will investigate the impact of ShaKer reactivities on sRNA target prediction using IntaRNA (Mann et al., 2017), which is able to incorporate SHAPE structure probing data into RNA–RNA interaction prediction (Miladi et al., 2019).

Finally, ShaKer could be trained on SHAPE experiments under different experimental conditions (such as \textit{in vivo} or cell-free), and thus can also investigate the effects of these different conditions on other RNAs with unknown SHAPE reactivities.

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