Codebook Learning for Image Recognition Based on Parallel Key SIFT Analysis

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1. Introduction

In recent years, the bag-of-features (BOF) method and the spatial pyramid matching (SPM) model have been extremely popular in image classification. Over last decade, extensive research works have been done based on these two models and many algorithms have emerged, such as ScSPM model in [1] used sparse coding (SC) to obtain nonlinear codes and classified with linear classifiers, LCC mechanism in [2] constrained the sparse coding to be local, and LLC algorithm in [3] relaxed the sparse coding constraint to locality and calculated feature vector by linear coding. Generally, most of these models consist of the following four steps. Firstly, local features (e.g. SIFT) are extracted from each image as representations of the image regions. Secondly, a codebook is learned according to some approaches, such as k-means clustering, sparse coding, vocabulary tree and hamming embedding. Thirdly, image representation vector is formed by encoding each local feature in the codebook. Finally, image representation vector is classified by linear or non-linear classifiers.

As can be seen from these four stages, the step of codebook learning effects the quality of the final image representation and is also very important for the image classification [4]. Traditionally, the codebook was generated by unsupervised clustering manner, e.g. k-means, and worked well in visual classification tasks and visual regression tasks. However, this kind of method have two drawbacks: code-word uncertainty and codeword plausibility. Several algorithms have been proposed to improve the performance, such as kernel codebooks learning proposed by Gemert et al. [5], over-complete codebook learning proposed by JJ.Wang et al. [3] and J. Mairal et al. [6], and small-sized codebook learning by Z. Jiang et al. [4].

In this paper, we propose a scheme of codebook generation for image recognition based on parallel key SIFT analysis (PKSA). The main idea of this scheme is to iteratively evaluate the parallel key SIFT descriptors (KSDs) from original SIFT descriptors by using k-means clustering algorithm and similarity analysis, and then the codebook is learned by a relaxed clustering algorithm with the set of KSDs. The performance of classification is improved by PKSA algorithm and dual clustering method.

The rest of the paper is organized as follows: the framework of our proposed scheme of codebook learning based on parallel key SIFT analysis (PKSA) is introduced in detail in Sect. 2 and linear ScSPM model is reviewed in Sect. 3; Sect. 4 presents the experimental setup and results, and finally conclusions is provided in Sect. 5.

2. Scheme of PKSA Based Codebook Learning

Suppose the number of SIFT descriptors extracted from each image is N and the dimensionality is D. The set of SIFT descriptors of the m-th image can be denoted by \( I_m \) and \( I_m = [x_1, x_2, \ldots, x_j, \ldots, x_N] \in \mathbb{R}^{D \times N} \). Therefore, the training dataset with n images can be marked as \( I \), where \( I = (I_1, I_2, \ldots, I_m, \ldots, I_n) \). Let \( V \) be the codebook with M bases, \( V = [v_1, v_2, \ldots, v_M] \in \mathbb{R}^{D \times M} \).

2.1 Traditional Codebook Learning Model

Traditional codebook learning method uses classical k-means clustering algorithm to solve the following minimization formulation.

\[
\arg \min_{B,V} \|X - VB\|^2_F \quad s.t. B_{ij} \in \{0, 1\}
\]

(1)

Where \( X \) is the set of SIFT descriptors \( I, V = [v_1, v_2, \ldots, v_M] \).
is the learned codebook with M entries determined by cluster centers, $\| \bullet \|_F$ is Frobenius norm, $B = [b_1, b_2, \ldots, b_N]$ and $b_i$ is M-dimensional binary vector.

The constraint of classical k-means algorithm is too strict and each local feature in the codebook is assigned to just one visual word. A relaxed binary condition named strict and each local feature in the codebook is assigned by similarity analysis.

The non-negative matrix factorization (NMF) [7] is introduced to solve the minimization problem in Eq. (2). The NMF model is a special constrained sparse coding algorithm with the aim of alleviating the information loss of the sparse coding plus max pooling.

$$\arg \min_{B, V} \|X - VB\|^2_F \quad s.t. \|b_i\|_1 = 1, b_i \geq 0, \forall i$$ (2)

### 2.2 Codebook Learning Based on PKSA

With the aim of improving the quality of the codebook and reducing the computational time, the strategy of parallel key SIFT analysis (PKSA) is introduced in this paper, which makes use of the combination of k-means clustering and NMF algorithm.

The basic idea of PKSA is selecting the key SIFTs (a subset of SIFT descriptors) from each image with more representative characteristics but much fewer numbers by iteratively using k-means algorithm and similarity analysis, and learning the codebook with the selected collection of key SIFTs from training dataset by clustering algorithm of NMF. Therefore, representative and useful features in the image are selected so that the time for codebook learning is greatly reduced and the learned codebook V is likely to represent all of the images well.

According to the pseudocode in Alg.1, the strategy of PKSA can be divided into two steps: parallel key SIFT selection (PKSS) and codewords clustering. The former aims at selecting the key SIFT descriptors (KSDs) from each image by iteratively deleting the redundant SIFT descriptors (with smaller S values comparing with the similarity adjust factor $\sigma$) so as to increase the representativeness of the selected key SIFTs, while the later learns the codebook by NMF algorithm.

The process of PKSS is quite simple, including an iterative parallel identification of K KSDs and an elimination of non-key ones. The KSDs are identified according to the center of k-mans clustering and the non-key ones are selected by similarity analysis.

$S_{ij} = \|x_i - x_j\|_p$ (3)

$\sigma = w * \frac{1}{N} \sum_{j=1}^{N-K} S_{ij}$ (4)

Based on all of the KSDs selected from the training dataset $I$ in Z, $Z = (I_{l1}, I_{l2}, \ldots, I_{ln}, \ldots, I_{ln})$, the codebook V is efficiently generated by using codewords clustering algorithm of NMF with a relaxed binary condition as defined in Eq. (2), where $V = [v_1, v_2, \ldots, v_M]$ is codebook to be evaluated.

#### Algorithm 1 The pseudocode for Parallel Key SIFT Analysis

**Input:** The SIFT descriptors of training dataset $I = (I_{l1}, I_{l2}, \ldots, I_{ln}, \ldots, I_{ln})$

**Output:** The learned codebook V

1. parallel key SIFT selection
   
   for m from 1 to n, $I_m$ is the SIFT descriptors of the m-th image, $I_m = [x_1, x_2, \ldots, x_N]$.
   
   //1. initialization
   
   Candidate key SIFT descriptors (CKSD) set $Y_1 \leftarrow I_m$
   
   Size of CKSD set $N' \leftarrow N$
   
   //1.2 iteration
   
   while $N' \geq K$
     
     //1.2.1 k-means clustering
     
     Separate $N'$ CKSDs into K clusters by k-means algorithm
     
     for i from 1 to K do
       
       //1.2.2 define KSDs
       
       Define the center of the i-th cluster as $x'_i$
       
       for j from 1 to $N'$ do
         
         Calculate the distance between $x'_i$ and $x_j$
         
       end for
     
     //1.2.3 calculate similarity $S_{ij}$
     
     for j from 1 to $N'$ do
       
       Calculate similarity $S_{ij}$ between KSD $x_i$ and non-KSD $x_j$
       
     end for
     
     //1.2.4 calculate $\sigma$
     
     Evaluate the similarity adjust factor $\sigma$ according to Eq. (4)
     
     //1.2.5 update the CKSD set by comparing each similarity $S_{ij}$
     
     with the similarity adjust factor $\sigma$
     
     for j from 1 to $N'$ do
       
       if ($S_{ij} < \sigma$) and ($j \neq i$) then
         
         Delete $x_j$ from Y1
       
       end if
     
     end for
     
     //1.2.6 update
     
     Save KSD $x_i$ in set Y2
     
     Update $N'$
     
   end while
   
   $I_{m2} \leftarrow Y_2$
   
   end for

2. codewords clustering

Generate the codebook V by NMF algorithm according to Eq. (2) based on the KSD set $Z = (I_{l1}, I_{l2}, \ldots, I_{ln}, \ldots, I_{ln})$

Return V

The proposed method can increase the representativeness of the codewords and reduce the dimensionality of the codebook significantly so as to increase the classification rate. Suppose the number of SIFT descriptors in original training dataset is $N_{\text{before}}$ and the number after PKSA is $N_{\text{after}}$. Since $N_{\text{after}}$ is much less than $N_{\text{before}}$, about 5%-10% of $N_{\text{before}}$, the size of codebook $V$ can be greatly reduced. Therefore, the time of codebook learning can be significantly reduced.

### 3. Linear ScSPM Model for Classification

In order to shown the effectiveness of the scheme, the final feature vectors are calculated and the images are classified by using linear ScSPM model in [1] with the aim to solve the following optimization problem.
arg \min_C \sum_{i=1}^{N} ||x_i - Vc_i||^2 + \lambda ||c_i||_1 \tag{5}

where \( C = [c_1, c_2, \ldots, c_N] \) is the cluster membership indicator, \( \lambda ||c_i||_1 \) is the sparsity regularization term with the purpose of achieving a unique solution and much less quantization error.

4. Experimental Results

In the experimental section, we report the performance of our PKSA algorithm on three public datasets: fifteen scenes dataset, Caltech-101 dataset and Caltech-256 dataset. Our experiments use only a single SIFT descriptor of each image, with dimension of 128, extracted from patches of 16*16 pixels and densely sampled by a step of 8 pixels. The parallel parameter \( K \) in our experiments is preset to be 2. With the aim of achieving reliable results, all experimental results are repeated 10 times by randomly selecting training and testing data according to the common benchmarking procedures. The average recognition rate of every class is calculated for each run and the mean and standard deviation of the recognition rates are recorded as the final results. All the experiments were implemented using Matlab on a PC with 3.30GHz Intel(R) Xeon(R) CPU and 32G memory.

4.1 Fifteen Scenes Dataset

The first dataset is fifteen scenes dataset with 4485 images in 15 categories. The average size of each image is 300*250 pixels and the image number in each category ranges from 200 to 400. The number of training images is 100 per class and the detailed experimental results of this database is illustrated in Fig. 1 (a) with different sizes of codebook (M): 200, 400, 1024 and 2048. As shown in Fig. 1 (a), the classification rates are increased with larger value of M and almost stable with different values of weight parameter \( w \).

The comparison results of different methods in classification accuracy are shown in Table 1. All methods are under the same set of training on 100 images per class and testing on the rest. Our scheme outperforms LSS by more than 11% and ScSPM by more than 3%. It also can be concluded from Table 1 that not all of deep neural networks work very well on this kind of small scale datasets for the limitation of the number of training images. For example, although the method DDSFL+Caffe achieves impressive improvement, LDANet and DLANet only obtain a slight improvements and PCANet even a bitter lower than our proposed method.

4.2 Caltech-101 Dataset

Our second dataset is Caltech-101, which contains 9144 images of 101 categories with significant variance in shape, such as brain, airplane, bass, anchor and so on. The image resolution is 300*300 pixels and the number of images in each class is quite different, varies from 31 to 800. According to the common experimental setup for Caltech-101, we trained on 30 images per class and tested on the rest. And the final performance is measured by calculating average accuracy of 101 classes and one background class. The performance of different sizes of codebook (M), 1024 and 2048, are compared in Fig. 1 (b).

The comparison results of different methods in classification accuracy are shown in Table 2 with the codebook trained on 1024 bases. We tested the PKSA algorithms on 5, 10, 15, 20, 25 and 30 training images per class, respectively. Our scheme outperforms ScSPM more than 0.7% and even better than LLC on all test results. The deep neural networks algorithm of DeCAF outperforms our method with 30 training images per class, while the classification of PCANet is less than our algorithm both in 15 and 30 training images per class.

4.3 Caltech-256 Dataset

The last dataset of experiments is Caltech-256 consisting of 30,607 images in 256 categories with much higher variability in object size, pose and location. There are more than 80 images in each category with image size less than 300*300 pixels. The proposed algorithm is performed with the codebook of 1024 bases on 15, 30, 45 and 60 training images per class, respectively. The experimental results of the proposed

![ Fig. 1 Performance of the proposed algorithm on Fifteen scenes and Caltech-101 with different M ](image)

| Table 1 | Comparisons with different methods on fifteen scenes dataset. |
| --- | --- |
| Algorithms | Accuracy (%) |
| ScSPM [1] | 80.28±0.93 |
| KSPM [1] | 76.73±0.65 |
| OB [8] | 80.9 |
| LSS [9] | 72.20±0.20 |
| PCANet [10] | 82.73±0.40 |
| LDANet [10] | 84.75±0.69 |
| DLANet [11] | 85.13±0.38 |
| DDSFL [12] | 84.42 |
| DDSFL+Caffe [12] | 92.81 |
| Ours | 83.27±0.39 |

| Table 2 | Experimental results on Caltech-101 dataset |
| --- | --- |
| Training images | 5 | 10 | 15 | 20 | 25 | 30 |
| ScSPM [1] | - | - | 67.0 | - | - | 73.2 |
| LLC [3] | 51.15 | 59.77 | 65.43 | 67.74 | 70.16 | 73.44 |
| D-KSVD [13] | 49.6 | 59.5 | 65.1 | 68.6 | 71.1 | 73.0 |
| K-SVD [14] | 49.8 | 59.8 | 65.2 | 68.7 | 71.0 | 73.2 |
| DeCAF [15] | - | - | - | - | - | 86.91 |
| PCANet [10] | - | - | 61.46 | - | - | 68.56 |
| Ours | 52.5 | 61.4 | 67.8 | 69.1 | 71.6 | 73.8 |
scheme with different values of training images are shown in Fig. 2 and the comparison results with other models are listed in Table 3.

4.4 Performance Analysis over Three Datasets

The performances of computational time for codebook learning and classification accuracy over three datasets are compared with ScSPM in Fig. 3 (a) and Fig. 3 (b), respectively. Different from more than 50 hours of codebook learning method in ScSPM model, the proposed PKSA scheme takes much less time even in the database of Caltech-256 and achieves approximately 1.5%–3% enhancement in classification.

5. Conclusion

In this paper, we propose a scheme of codebook learning for image recognition based on parallel key SIFT analysis (PKSA). The method iteratively uses k-means clustering algorithm and similarity analysis to evaluate key SIFT descriptors and filter out others, and generates the codebook by a relaxed clustering algorithm of NMF according to the selected set of KSFs. We perform experiments on 3 widely used image databases based on ScSPM model. And experimental results show that our algorithm reduces the computational time for codebook learning significantly while obtains higher categorization accuracy.

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