Approaches for a quantum memory at telecommunication wavelengths

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We report experimental storage and retrieval of weak coherent states of light at telecommunication wavelengths using erbium ions doped into a solid. We use two photon echo based quantum storage protocols. The first one is based on controlled reversible inhomogeneous broadening (CRIB). It allows the retrieval of the light on demand by controlling the collective atomic coherence with an external electric field, via the linear Stark effect. We study how atoms in the excited state affect the signal to noise ratio of the CRIB memory. Additionally we show how CRIB can be used to modify the temporal width of the retrieved light pulse. The second protocol is based on atomic frequency combs (AFC). Using this protocol we also verify that the reversible mapping is phase preserving by performing an interference experiment with a local oscillator. These measurements are enabling steps towards solid state quantum memories at telecommunication wavelengths. We also give an outlook on possible improvements.

I. INTRODUCTION

Light-matter interfaces in general, and quantum memories for single photons in particular, are of great interest for the field of quantum information [1]. Quantum memories could be used to synchronize probabilistic quantum processes. These are essential ingredients in, for instance, quantum repeater architectures which would allow us to extend fiber-based quantum communication schemes beyond today’s distance limit set by attenuation in optical fibers [2–4]. Another potential application is to transform a probabilistic, but heralded, single photon source into a close to deterministic source of single photons, which is of interest for a variety of experiments and applications [5].

A photonic quantum memory requires reversible mapping of light, at the single photon level, onto long-lived coherent atomic excitations. Important progress has been made during the last years towards the realization of an efficient and coherent quantum memory [6–12]. Almost all of these experiments have been performed with atomic transitions in the visible range. However, in the context of quantum communication, it would be of great interest to have the ability to store and retrieve photons at telecommunication wavelengths (around 1550 nanometers), which can be transmitted with low loss in optical fibers. Such a quantum memory could be easily integrated into fiber optical networks. It would also be useful to realize a narrow band deterministic source of single photons at telecommunication wavelengths for quantum communication. Finally, a quantum memory capable of storing photons in this range is also required for some efficient quantum repeater architectures [6,13,14].

One possibility to interface photons at telecommunication wavelengths and quantum memories is to use frequency conversion techniques, i.e. to convert the wavelength of the telecom photon to the resonance frequency of existing solid state or atomic gases quantum memories in the visible range or vice versa [13–17]. But such a conversion will induce additional loss and increase the complexity of the experiment. Moreover, the application of a strong pump laser applied to a optically nonlinear medium, a commonly used method for such a conversion, can lead to noise which may blur the single photon signal [18]. Another possibility is to directly use atomic systems with an optical transition in the telecommunication range. A promising candidate in this context is erbium doped into crystals, since erbium has a well-known transition around 1530 nm. In particular Er\(^{3+}\) ions doped into Y\(_2\)SiO\(_5\) crystals [19] are highly interesting since an extremely long optical coherence time of around 6 milliseconds has been obtained in this solid-state system [20,21].

Quantum storage in erbium doped solids is challenging because of limitations in the required memory preparation as described in [22] for Er\(^{3+}\):Y\(_2\)SiO\(_5\). Here we will report on another difficulty when implementing a quantum memory with this material. Residual population in the excited state due to imperfect memory preparation together with a low memory efficiency causes a low signal-to-noise ratio when performing storage experiments at the single photon level. We will discuss this issue in more detail and present solutions to this problem.

Despite these challenges, we report proof of principle demonstrations of photon echo based storage at the single photon level in an erbium doped crystal. The first one is based on controlled reversible inhomogeneous broadening (CRIB) [23,26]. The main results of this work have already been published elsewhere [27]. Here we give a more detailed study on how the weak CRIB signal is affected by the fluorescence noise from excited atoms. We also show how this technique can be used to control the temporal profile of the retrieved pulses [28]. The second method is based on an atomic frequency comb (AFC) [29] written into the inhomogeneously broadened absorption profile of the rare earth ion doped solid. It has already
been implemented in a range of different materials at different wavelengths [10, 30–37]. Here we present the first results at telecommunication wavelengths. Besides the novelty of the material and the wavelength, this experiment also includes previously unexplored aspects of the AFC protocol, such as an alternative way of creating the atomic frequency comb using standard hole burning techniques. We also study the coherence of the storage process by performing an interference experiment with a local oscillator. Even if the efficiencies obtained for both protocols are still low, it shows the feasibility of a memory at telecommunication wavelengths and it hopefully will stimulate further research on the spectral properties of erbium doped solids.

The article is structured as follows. In section II we briefly review the theoretical basis and the experimental state of the art for the two quantum storage protocols used in this paper. Section III describes the experimental procedure used. In section IV and V we present the results obtained for the AFC and CRIB protocols, respectively. Finally, in section VI we propose to combine the two methods and show first experimental results on that.

II. PHOTON ECHO BASED QUANTUM STORAGE

In this section we discuss the underlying process of both photon echo based protocols we explored in this work. For this let us consider an ensemble of atoms forming an inhomogeneously broadened atomic absorption. If a single photon spectrally matching this broadened line gets absorbed, the atoms will be in a superposition of states (collective excitation):

$$|\psi\rangle = \frac{1}{\sqrt{N}} \sum_{j=1}^{N} e^{i2\pi \delta_j t} e^{ik z_j} |g_1 \ldots e_j \ldots g_N\rangle. \quad (1)$$

g_j denotes atom j in the ground, e_j in the excited state. A dephasing will take place since atoms absorbing at different frequencies within this line will acquire different phases $\delta_j t$, where $\delta_j$ denotes the detuning from the central absorption line. This dephasing inhibits the collective emission of light by the ensemble. However, if one finds a way to undo this dephasing, i.e. to obtain an overall phase factor of one after a time $T$ for all atoms, such an emission will take place. In the classical two and three pulse photon echo, this is done by the application of bright optical pulses on the optical transition. These methods are interesting since they enable the storage and retrieval of large trains of classical optical pulses [38]. However, conventional photon echo techniques have strong limitations regarding the storage of single photons [39, 40]. The main reason is the application of the strong pulses that are necessary to induce the rephasing. They will transfer population from the ground- to the excited state and therefore cause an intrinsically low fidelity due to noise from incoherent de-excitation (fluorescence).

In order to use photon echo techniques as quantum storage protocols, it is thus necessary to devise methods where the rephasing mechanism does not involve a population of the excited state. In this article we present measurements on photon echoes at the single photon level using two different schemes fulfilling this requirement: controlled reversible inhomogeneous broadening (CRIB) and atomic frequency combs (AFC), which we are both going to describe in more detail now.

A. Controlled Reversible Inhomogeneous Broadening

The underlying rephasing mechanism of this scheme is based on a reversal of the inhomogeneous broadening in a controlled way (therefore it is known as controlled reversible inhomogeneous broadening, CRIB). This protocol was first proposed for hot atomic gases, where the Doppler shift of atoms depends on the direction of laser beams [23]. CRIB was later extended to rare-earth doped solids by three different groups [24, 26]. The idea is the following [24, 41]: First, a narrow absorption line is created within a large transparency window. This can be done using optical pumping techniques as will be described in section III B. This initially narrow absorption line is then artificially broadened. In our case this is done by the application of an electric field gradient in the direction of light propagation ($\hat{z}$). Since the ions possess a permanent electric dipole moment, their optical resonance frequency will shift due to the linear Stark effect by an amount $\delta_j$ that depends on the position $z_j$ of ion $j$. After the absorption of a photon the atoms will be in a state as given by equation (1) and the atomic dipoles will dephase accordingly. This dephasing can be reversed by changing the sign of the detuning $\delta_j \rightarrow -\delta_j$ at a time $\tau$, which can be done by simply flipping the polarity of the electric field. Note that $\tau$ can be chosen after the absorption (“on demand”) readout of the memory. The state of the system at a time $t$ after the flip becomes

$$|\psi\rangle \rightarrow \frac{1}{\sqrt{N}} \sum_{j=1}^{N} e^{i2\pi \delta_j \tau} e^{-i2\pi \delta_j t} e^{ik z_j} |g_1 \ldots e_j \ldots g_N\rangle.$$

(2)

It is obvious that at the time $t = \tau$, i.e. a total time $2\tau$, the spectral phases will have canceled. The atomic dipoles are back in phase and the ensemble will collectively emit an echo of the incident light in the forward direction.

The forward retrieval efficiency is given by [42]

$$\eta_{CRIB} = \frac{\delta^2}{d_{br}} e^{-d_{br}} e^{-d_0} e^{-i\gamma z^2}, \quad (3)$$

where $d_{br}$ is the optical depth of the broadened peak, and $\gamma = 2\pi\gamma$ the spectral width of the initial peak (standard deviation). The first term gives the raw efficiency for the photon to be absorbed and re-emitted. The second
term accounts for the possibility for the photon to be re-absorbed by the medium. In case of inefficient optical pumping, (re-)absorption of the light by an absorbing background with optical depth \( d_0 \) occurs, which is taken into account here as well. The last term describes the decoherence due to the finite width of the initial peak. Note that a unit efficiency memory can be achieved using a backward readout \(^{42}\), provided that \( d_0 = 0 \).

CRIB was first realized in europium doped Y₂SiO₅ crystals \(^{26}\). Since the initial demonstration, a lot of progress has been made concerning its efficiency using praseodymium as dopant, approaching 70% in the quantum regime \(^{11}\). We have recently demonstrated the feasibility of the protocol at the single photon level in the telecommunication band using an erbium doped sample \(^{27}\). In this article we present an analysis of the noise occurring in this experiment and the methods we applied to reduce it which allowed us to work in this regime. Furthermore we present measurements showing pulse-compression and -stretching at the few photon level. Note that CRIB has also been realized with controlled broadening of spin transitions in a rubidium vapor \(^{43}\). Its capability to serve as a pulse sequencer and pulse shaper also was shown experimentally \(^{44}\).

### B. Atomic Frequency Combs

The rephasing mechanism in this scheme is based on a periodicity in the absorption profile \(^{29}\). We start with a number of equidistant absorption peaks with a separation of \( \Delta \) (atomic frequency comb, AFC). Let us consider an incident photon with a central frequency \( \omega_0 \) and a spectral width that is smaller than the total width of the comb. The light will be absorbed as a single excitation distributed over the atoms forming the absorption peaks.

We can write the state of the atoms in the same manner as in Eq. \(^1\). In the ideal case of very sharp comb peaks \( \delta_j \) is given by \( \delta_j = \eta_j \Delta \), where \( \eta_j \in \mathbb{Z} \) is the number of the peak the ion belongs to. It is easy to see that, due to this periodicity, for times

\[
T_m = \frac{m}{\Delta}
\]

\((m \in \mathbb{N})\) the phase factors all are equal to one, i.e. the atomic dipoles are back in phase and a collective emission will take place (note that here the unit of \( \Delta \) is Hertz). Unlike in the CRIB protocol the rephasing mechanism is an intrinsic property of the spectral shape and no external manipulation is required. However, for this reason the moment of rephasing can not be changed after the absorption. An additional coherent transfer of the excitation to a ground state spin level and back is required \(^{29}\) in order to improve the scheme from a delay to an on demand memory.

The efficiency of the AFC scheme in the forward direction for the first echo is given by \(^{11\,29}\):

\[
\eta_{AFC} = \frac{d^2}{F^2} e^{-\frac{d}{\gamma}} e^{-d_0} e^{-\frac{T}{\Gamma\Delta^2}}.
\]

The finesse \( F \) is the ratio between the width of the peaks \( \gamma \) and their separation \( \Delta \). \( d \) is the optical depth of the peaks. Note that this formula is similar to the one given for the CRIB scheme (eq. \(^3\)). The optical depth of the broadened peak is simply replaced by the effective optical depth of the AFC, \( d/F \). If one writes the finesse \( F \) in terms of the storage time \( T_1 = 1/\Delta \) and linewidth \( \gamma \), one will find that the last term corresponds to the decoherence term in equation \(^3\). Also here an absorbing background is taken into account. Note that, as for CRIB, unit efficiency is possible in backward configuration \(^{29}\).

The AFC protocol has been used to demonstrate the first solid state light matter interface at the single photon level \(^{10}\) and more recently to demonstrate entanglement between a photonic qubit and an atomic excitation in a solid \(^{30\,37}\). The extension of the scheme by spin wave storage was recently reported \(^{31}\). Further work has shown improved storage efficiencies \(^{32\,34}\). The most important feature of this protocol, that one can efficiently store and retrieve multiple temporal modes (see sec. \(^{II\,C\,1}\)), was also shown \(^{10\,33\,40}\). In this work we demonstrate AFC experiments at telecommunication wavelengths in an erbium doped crystal. We show how the phase of the AFC echo can be shifted by changing the central frequency of the AFC. We obtain interference fringes with a visibility of 90%. Additionally, we carried out the same experiment with the second AFC echo \((m = 2)\). Also here we observe interference fringes. We find that the phase of these fringes is twice as large as for the fringes of the first echo.

### C. Comparison of the two protocols

At this point we would like to give a brief comparison of the two protocols.

#### 1. Multimode Capacity

The possibility to store a train of incident photons (multiple temporal modes) in a quantum memory is of great interest in the context of quantum repeater architectures \(^{40}\). It has been shown that the number of temporal modes \( N \) that can be efficiently stored in a CRIB memory grows linearly with the optical depth \( d \) of the initial unBroadened absorption line \(^{16\,47}\). This can be understood by the following arguments:

The number of temporal modes that can be stored in the memory is roughly given by the ratio of the time \( \tau \) (from the first input pulse to the moment of switching) to the duration of the each input mode \( T_{CRIB}/N \). This can be expressed as

\[
T_{CRIB}/N \approx \tau.
\]
the inverse of the width of the initial peak $\tau \propto \frac{1}{\gamma_{\text{CRIB}}}$. On the other hand, the broadened absorption profile should be at least as large as the linewidth of the incident light (see section IV). The number of temporal modes that can be stored is thus obviously given by the factor with which the initial line was broadened. The optical depth $d_{\text{br}}$ of the broadened line, however, decreases linearly with this factor and this diminishes the storage efficiency (see eq. 5). In short, to double the number of temporal modes that can be stored while keeping the storage efficiency constant, one has to double the initial optical depth $d$.

The situation is different for the AFC protocol. In order to increase the spectral width of the comb one can add peaks to it. In fact, the number of modes is limited by the number of peaks [29]. The optical depth and the finesse are not affected and the efficiency does not change (eq. 5). The limitations for the spectral width (and thus the number of peaks) of a comb, are material properties. These are for example the inhomogeneous broadening as well as hyperfine level spacings. The number of temporal modes that can be stored does not depend on the available optical depth, contrary to all other QM proposals. Furthermore is the efficiency for all modes the same. This is in contrast to the CRIB protocol where the efficiency decays exponentially.

An interesting aspect in the context of the multimode capacity of the two protocols is that AFC is a First In - First Out (FIFO) memory [10, 45], while CRIB is a First In - Last Out (FIFO) memory [24]. This may be of interest for future applications of quantum memories.

2. Spin Wave Storage

The transfer of the excitation to a long-lived ground state level using control pulses ($\pi$-pulses) is a required step for an AFC memory in order to achieve an on-demand readout. However, it can also be used in the CRIB scheme to increase the storage time [24, 25]. In the case of a multimode memory discussed before, the bandwidths of the control pulses have to be sufficiently large in order to transfer all ions of the collective ensemble efficiently. In order to achieve this, one may use chirped pulses such as complex hyperbolic secant pulses [31, 46, 51]. These require a sufficiently long time between input mode and echo - in order to be able to apply them over the entire bandwidth - as well as a high oscillator strength of the transition. To realize an efficient multimode AFC-memory with spin-wave storage can thus be difficult. Since in CRIB the width of the spectrum can be controlled externally, one can narrow the required bandwidth to the width of the initial peak. Note that in this case the electrical control field is off during the transfer. The ability of being able to fully control the excitation spectrum with the electric field is a great advantage here, since it considerably relaxes the constraints on the control pulses to obtain an efficient transfer. Thus an efficient transfer is more easily achievable for the CRIB scheme.

Note that both protocols require a third ground state level for spin wave storage.

3. Material Aspects

The CRIB protocol requires the existence of a linear Stark or Zeeman effect in the medium which allows to induce and control the inhomogeneous broadening. In thulium doped YAG for example, the Zeeman effect is very weak since Tm$^{3+}$ is not a Kramers ion and the magnetic field only acts on the nuclear spin. A fast switching of high magnetic fields, as they would be required in this material, is not possible. Moreover, a linear Stark does not exist in Tm$^{3+}$:YAG due to the crystal symmetry. While it is thus impossible to use Tm$^{3+}$:YAG in CRIB experiments, AFC experiments do not require either of the two and have already successfully been achieved in this material [30, 33, 35]. AFC can thus be implemented in a larger range of materials.

To sum up: the main advantage of the AFC is the multimode capacity. It can be performed in a higher variety of materials since it does not depend on the existence and the strength of the interaction with an external electric or magnetic control field. However, the transfer of excitations to a long-lived ground state level required for an on-demand readout in a AFC memory is more challenging. Both protocols have their advantages and are worth being investigated.

III. EXPERIMENTAL SETUP AND NOISE REDUCTION

In this section we describe the experimental setup as well as the optical pumping techniques and the experimental cycle common to both experiments presented in this work. We also study the main source of noise present in the system, which could be identified as fluorescence due to imperfect memory preparation. We show how this noise can be reduced.

A. Setup

The sample used is an Er$^{3+}$:Y$_2$SiO$_5$ crystal (10ppm) placed on the cold finger of a pulse tube cooler (Oxford Instruments), cooled down to 2.6K. The Y$_2$SiO$_5$ crystal has three mutually perpendicular optical-extinction axes labeled D1, D2, and b. Its dimensions are $3.5 \times 4 \times 6$mm along these axes. The Er$^{3+}$ can be found at two crystallographic inequivalent sites (sites 1 and 2). All measurements in this work were carried out on ions at site 1. A magnetic field was used to induce a Zeeman splitting necessary for state preparation. It was provided by a permanent magnet outside the cryostat and was applied in the $D_1-D_2$ plane at an angle of $\theta = 135^\circ$ with respect to the $D_1$-axis [52] (Figure 1 inset). For all measurements
it was set to 1.5 mT in order to allow for an optimal optical pumping efficiency and not to decrease the optical depth by separating the inhomogeneously broadened Zeeman transitions completely. The light was traveling in a direction parallel to b and its polarization was aligned to maximize the absorption [19]. The optical depth of the sample was 2. The electric quadrupole field for the CRIB experiment was applied with the use of four electrodes placed on the crystal as shown in the inset of figure 1 and described in [53].

The experimental setup is shown in figure 1b. The preparation of the memory consisted in preparing the ground state levels, as it is present in Er\(^{3+}:Y_2SiO_5\) , has to be lifted by the application of an external magnetic field making use of the Zeeman effect.

The experimental sequence was divided into two parts: the preparation of the memory and the storage and retrieval of the weak pulses. For state preparation an external cavity diode laser at 1536 nanometers (Toptica) was used. It also served as light source for the weak input pulses. The timing of the experimental sequence is shown in Fig. 2. The preparation of the memory consisted in preparing the specific absorption structure required for each protocol (a single absorption line for CRIB and a comb for the AFC). The preparation was done with optical pumping techniques (see section III B) and lasted 120 milliseconds. After the preparation, we waited a time \(T_{\text{wait}}\) to allow the atoms in the excited state to decay to the ground state before the actual storage experiment. For measurements at the single photon level, two optical paths were necessary: one for the intense pulses used in the optical pumping (strong path) and one for the weak pulses at the single photon level to be stored and retrieved in the crystal (weak path). In the weak path, the light was attenuated to the single photon level with a variable fiber attenuator. The two paths were recombined with a fiber coupled optical switch. The weak output mode was detected using a superconducting single photon detector (SSPD) \([54]\) run in constant voltage mode with an efficiency of \(\sim 7\%\) and a dark count rate of 10±5 Hz. During state preparation the SSPD was blocked with a mechanical chopper in order to avoid it from being blinded by the relatively strong preparation pulses. During the storage sequence, the leakage from the bright arm was further blocked with another mechanical chopper in order to prevent noise.

**B. Spectral Tailoring**

Both protocols require spectral tailoring of the inhomogeneous absorption profile. This can be done by optically pumping ions from one to another ground state level via the excited state. For this reason the degeneracy of the ground state levels, as it is present in Er\(^{3+}:Y_2SiO_5\) , has to be lifted by the application of an external magnetic field making use of the Zeeman effect.

The optical pumping efficiency depends on the ratio between the ground state relaxation time \(T_Z\) and the excited state relaxation time \(T_1\), and on the branching ratio \(\beta\) of the two transitions connecting the ground state levels to the excited state. In erbium doped \(Y_2SiO_5\), \(T_1\) is about 11 milliseconds \([19]\) and \(T_Z\) has been measured to reach up to 130 milliseconds for similar experimental conditions \([55]\). \(T_Z\) and \(\beta\) are strongly dependent on the direction of the magnetic field with respect to the crystal axes. \(T_Z\) also strongly depends on the temperature of the sample. The branching ratio for the optimal \(T_Z \approx 130\) ms we found is of order of \(\beta = 0.1\). This means \(\sim 90\%\) of the population de-excites down to the initial state. Under these conditions, the number of optical pumping cycles that can be performed is low, and it is very difficult to efficiently transfer population from one ground state level to the other. The optical pumping efficiency can be enhanced by artificially decreasing \(T_1\) using stimulated emission to a short lived auxiliary level that quickly decays to the ground state via a non-radiative decay \([22]\). Hence, two lasers are used for the optical pumping, a pumping laser at 1536 nanometers, and a stimulation laser at 1545 nanometers.

The experimental cycle is illustrated in figure 2. Each preparation sequence takes 120 milliseconds of optical pumping during which both lasers are sent into the sam-
ple. The frequency of the pump laser is repeatedly swept. In this way a wide pit is burned into the inhomogeneously broadened absorption line at 1536 nanometers. If the light is amplitude modulated using an acousto-optical modulator (AOM) and turned off each time the laser passes a frequency \( \omega_{\text{gate}} \), a narrow absorption feature will be left at this frequency (fig. 3b). For preparation of the frequency comb the laser has to be periodically modulated as indicated in figure 3c).

C. Storage and retrieval experiments

The time available to perform the actual storage experiments is limited by the Zeeman lifetime of \( T_{Z} \lesssim 130 \) milliseconds of the material. Population left in the excited state after preparation will lead to noise from fluorescence during the storage experiments. In order to deplete the excited state, the laser at 1545 nanometers is left on for an additional time \( T_{\text{extra}} \) after the AOM of the pump laser has been closed completely (figs. 11 and 12). During the storage part the preparation path is closed and the chopper of the detection path is opened at the same time. At a rate of 200 kHz a sequence of \( N \) strongly attenuated pulses is sent into the sample beginning at a time \( T_{\text{wait}} \) after the pump pulse. At the beginning of each of these trials a start signal is sent to a time to analog converter (TAC). A detection with the SSPD provides the stop signal. The incident pulses are weak coherent states of light \( |\alpha\rangle_{L} \) with a mean number of photons \( \bar{N} = |\alpha|^{2} \). We determined \( \bar{N} \) by tuning the frequency of the laser out of the spectral region of the inhomogeneously broadened absorption line and measuring the number of photons arriving at the SSPD. By measuring the losses between the input of the cryostat and the detector (transmission \( \approx 15\% \)) and the efficiency of the latter, we could trace back the average number of photons per pulse arriving at the crystal. The results were checked with a photo diode by a measuring the intensity of the same pulses without attenuation. Measurements were performed at \( T_{\text{wait}} = 86 \) ms after state preparation in order to reduce noise from fluorescence as explained in section IV.

D. Noise reduction

An experimental issue arising when input pulses are at the single photon level is the fluorescence from atoms left in the excited state due to an imperfect preparation of the memory. As described above, in order to create the initial narrow absorption line, a population transfer between two ground states (in our case Zeeman states) using optical pumping via the excited state is used. In case of an incomplete transfer there will be population remaining in the excited state after the preparation sequence. If the depletion of this level is slow, which is the case for rare-earth ions, this can lead to a high noise level from fluorescence that will blur the weak echo pulse. This problem is especially important for Erbium doped Y\(_{2}\)SiO\(_{5}\), were the optical relaxation time is very long (\( T_{1} = 11 \) milliseconds [19]). In order to investigate this issue, we performed an experimental characterization of the noise in our system.

For this experiment we performed the state preparation as described above, leaving a single absorption line...
at the center of the spectral pit. We then measured the number of counts in the same temporal mode as we would do it for a storage experiments, but with $\bar{n} = 0$, i.e. no photons at the input. We carried out experiments for different powers of the stimulation laser at 1545 nanometers. For all cases the stimulation laser was left on for a time $T_{extra}=10 \text{ms}$ after the pump laser was switched off. The result is presented in figure 4. One can see that the noise counts diminish with a decay time of 11 milliseconds. This confirms that this noise is coming from fluorescence due to ions left in the excited state. Application of the stimulation laser helps to reduce the noise significantly. However, with the limited stimulation power available, we did not manage to quench it completely. In order to perform experiments at the single photon level it is thus advisable to go to high waiting times also with stimulation laser applied. A drawback will be, that the memory efficiency goes down since the created absorption structure decays with $T_Z$ which is only one order of magnitude longer than the excited state lifetime $T_1$. One thus has to find a compromise between storage efficiency and noise level.

In section IV we show an analysis of the CRIB memory with respect to the efficiency and the signal to noise ratio for different delays. Note that this analysis also holds for the AFC measurements since they have been performed under the same conditions.

IV. CONTROLLED REVERSIBLE INHOMOGENEOUS BROADENING

In this section we report on the CRIB experiments. Each of the weak pulses arrives at the sample within the time of an electrical pulse applied to the electrodes of the sample (see the inset of figure 5), i.e. when the central peak is broadened.

![Figure 4](image-url)

**FIG. 4.** (COLOR ONLINE) Noise measurement: Number of counts as function of the delay after state preparation for different power of the stimulation laser (logarithmic plot). An exponential fit to the data gave a decay time of 11 milliseconds which confirms that the noise is due to ions left in the excited state. Application of the stimulation laser yields a strong reduction of this noise. Integration time was 100 seconds and $N = 8000$ for each data point. The power of the stimulation laser was measured before the cryostat.

![Figure 5](image-url)

**FIG. 5.** (COLOR ONLINE) Efficiency of the memory and signal to noise ratio as a function of waiting time after state preparation with and without stimulation laser. For these measurements $N = 2000$ consecutive pulses with a temporal width of 200 nanoseconds were sent into the sample. The distance between the pulses was 5 microseconds. The number of incident photons per pulse was $\bar{n} = 27$. Note that the signal to noise ratio is a linear function of $\bar{n}$ and the efficiency is independent of the number of input photons in this regime [27]. The gray box labeled MEASUREMENT indicates the time interval in which storage experiments were carried out in the rest of this work.

We first studied the effect of the fluorescence noise. In order to do this, we measured the signal to noise ratio as well as the efficiency of the storage, as a function of the time $T_{\text{wait}}$ between the memory preparation and the beginning of the storage sequence (see fig. 5). The same measurements were also performed without the stimulation laser applied.

To calculate the signal to noise ratio we considered two time windows in the histograms recorded by the TAC (see fig. 6). The first one (A) contains the echo including the noise floor. The second one (B) has the same number of bins and is placed outside the region where the echo is expected, i.e. it only contains the noise floor. From the number of counts $N_{A,B}$ in these windows, the signal to noise ratio can be calculated as

$$\frac{S}{N} = \frac{N_A - N_B}{N_B}. \quad (6)$$

Due to a better performance of state preparation when the stimulation laser is applied [22], the efficiency of...
the memory is significantly higher compared to the case where it is not applied. At the same time also the noise is reduced, as explained in section III D. However, we noticed a heat input for higher stimulation power. The limited power we could apply to the sample lead to a lower efficiency of the memory. The use of a cryostat with a higher cooling power might thus lead to better results. Nevertheless, in this work we had to make use of its spontaneous de-excitation in order to lower the noise rate.

Measurements of storage and retrieval of weak pulses with a mean number of photons $\bar{n} < 1$ using this system have been reported in [27]. Fig. 6 shows another example with $\bar{n} = 0.9$. Here the input pulses have a duration of 100 nanoseconds and the initial line is broadened by applying a voltage of 70 volts to the electrodes which corresponds roughly to a broadening of the central peak by a factor of 3 [53]. In that case, the storage efficiency is of the order of 0.1%. Higher storage and retrieval efficiencies have been reported in [27] for smaller broadenings and longer pulse durations.

Remarkably, we observe that the efficiency does not decay as a function of $T_{\text{wait}}$ to the extent expected from the ground state Zeeman lifetime. This can be explained by a non-negligible contribution of long lived holes [55] to the spectrally tailored absorption profile. In order to confirm this we measured the lifetime of a spectral hole created with stimulation laser applied. Besides contributions from the excited state decay ($T_1 = 11\text{ms}$) and the second ground state Zeeman level decay ($T_2 = 130\text{ms}$) we observed a third decay time of about 15 minutes (a spectral hole could still be observed 1 hour after optical pumping). The origin as well as its dependence on experimental conditions (such as pump and stimulation power) of the occurrence of these long lived holes so far remain unclear and further investigations have to be carried out. This would be of great interest since the results presented in this work only could be obtained because the persistent hole allowed us to wait ($> 85\text{ms}$) for the ions to de-excite without loosing too much in retrieval efficiency. Another interesting feature of the long-lived holes is that they in principle allow to work at temperatures above the limit due to spin-lattice relaxation between the ground-state Zeeman levels presented in [53]. Figure 7 shows the efficiency of the CRIB memory as a function of temperature. Above 3.5 Kelvin there can be no contribution to the tailored absorption profile from population transferred between ground state Zeeman levels [53]. The existence of very long-lived (persistent) holes and their contribution to the absorption profile allows the observation of a CRIB echo at temperatures up to 4.5 Kelvin. The number of incident photons per pulse was $\bar{n} = 10$, integration time for each measurement was 200s. For the positive and the negative electrical pulses a voltage of $\pm 50\text{V}$ was applied to the electrodes.
(t_1 \propto 1/\Gamma_1) since it is simply given by the Fourier transform. If we now mirror the broadening by reversing the polarity of the electric field, as described above, \( \delta_j \to -\delta_j \) (\( \Gamma_2 = \Gamma_1 \)), the echo coming out will have the same spectral and thus also temporal shape as the incident pulse. If we choose the electric fields to be asymmetric, i.e. \( \delta_j \to -\alpha \delta_j \), the spectral width of the echo will be changed by a factor \( \alpha (\Gamma_2 = \alpha \Gamma_1) \) and so the temporal width will change as well. This method was studied in detail by Moiseev and Tittel [28]. It could serve as a tool for bandwidth matching of broadband photons to narrowband quantum memories or to increase bitrates in quantum communication networks. Its feasibility was experimentally demonstrated in a rubidium vapor using a switchable magnetic field gradient [44].

Figure 8 shows the temporal width (full width at half maximum) for six different combinations of the first and a switchable magnetic field [44]. It could serve as a tool for bandwidth matching of broadband photons to narrowband quantum memories or to increase bitrates in quantum communication networks. Its feasibility was experimentally demonstrated in a rubidium vapor using a switchable magnetic field gradient [44].

Figure 8 shows the temporal width (full width at half maximum) for three different voltages (FWHM) of the CRIB echo for three different voltages \( U_2 \) applied to the sample after switching the polarity of the electrical field as sketched in the inset. Before switching a voltage of \( U_1 = 95V \) (green triangles) and \( U_1 = 65V \) (blue circles), respectively, were applied. One can see that using this method, the FWHM of the echo can be changed.

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$\theta(\delta) \rightarrow \theta(\delta + \Delta_0)$, an additional phase factor occurs in the Fourier transform: $exp(-i2\pi \Delta_0 t)\theta(t)$. The echoes will acquire a phase

$$\phi_m = m2\pi \frac{\Delta_0}{\Delta} = m\phi_1.$$  \hspace{1cm} (7)

with respect to the case where $\Delta_0 = 0$.

\begin{center}
\includegraphics[width=0.8\textwidth]{fig10.png}
\end{center}

**FIG. 10.** (COLOR ONLINE) Results of the interference experiments described in the text. a) Atomic frequency combs (zoom) for two different delays $\tau$ (see figure 3b) are shifted by $\Delta_0$. b) Interferential (delay 1) and destructive (delay 2) interference of the AFC echo with the transmitted part of a second pulse send into the sample for the two cases shown in a. c) Interference fringes: successively shifting the comb by changing the delay $\tau$ (fig. 3b) allows to observe a phase shift range of 2$\pi$. The visibility is 89 $\pm$ 3%. d) The same experiment with the second AFC echo. One can see that twice the phase is accumulated. This also explains the lower visibility of 66 $\pm$ 3% (see text). Dark counts have been subtracted from the data. $\bar{n} \approx 0.9$ for $c$ and $\bar{n} \approx 9$ for $d$.

In order to observe the phase $\phi_1$ we sent two consecutive pulses into the sample and recorded the output for different $\Delta_0$. Width, amplitude and timing of the second pulse had been chosen such that its transmitted part, which serves as local oscillator, perfectly matches the echo of the first pulse. The position of the comb was changed by changing the trigger delay between the frequency sweep and the pump sequence (fig. 2 and 10b). Figure 10b shows the case of constructive and destructive interference between the echo and the second pulse. The number of incident photons for the first pulse was $\tau \approx 0.9$. Note that the average number of photons per pulse that interfere in this experiment hence is of the order of $10^{-24}$. Figure 10c shows the number of counts in the echo as a function of $\Delta_0$. The sinusoidal fit gives a visibility of 89 $\pm$ 3%. Figure 10d shows the same type of interference fringes but for the second AFC-echo. In order to obtain a signal clearly above the noise the number of incident photons per pulse was set to $\bar{n} \approx 9$. According to equation (7) the acquired phase $\phi_2$ is twice as large for a fixed $\Delta_0$. This corresponds well to what we observe. With $66 \pm 3\%$ the visibility is significantly lower than for the first echo. This can be explained by the phase noise induced by the jitter of the laser used as local oscillator. Let us assume that during the time between state preparation and the measurements the laser has shifted by $\delta \Delta_0$ due to the jitter. Introducing it into equation (7) we get:

$$\phi_m = m2\pi \frac{\Delta_0 + \delta \Delta_0}{\Delta} = m(\phi_1 + \delta \phi_1).$$  \hspace{1cm} (8)

Assuming a Gaussian distribution with a width $\sigma$ for the phase noise, the visibility for $m = 1$ is given by $56$.

$$V_1 = e^{-\sigma^2/2}. \hspace{1cm} (9)$$

For $m > 1$ the phase noise is in times larger. Therefore

$$V_m = e^{-(m\sigma)^2/2} = V_1^{m^2}. \hspace{1cm} (10)$$

In our case $V_1 = 0.9$. The value of 0.66 we found experimentally for $V_2$ fits well with this explanation.

The results of this experiment confirm that the coherence of the absorbed and re-emitted light is well preserved in an AFC-type light-matter interface. Moreover we see that one can use the AFC itself to shift the phase in a controlled way. This capability provides an interesting tool for interference experiments involving an AFC-storage scheme. One can consider the output of this device as one of the outputs of an unbalanced Mach-Zender interferometer. In this picture the transmitted part of the incident light has taken the short, the re-emitted part the long (phase shifted) arm.

**VI. COMBINED AFC-CRIB STORAGE SCHEME**

We have here studied two storage schemes having different properties in a two-level configuration. The main advantage of CRIB is the on-demand read-out while for AFC it is the high multimode potential. Yet, the drawback of CRIB is its lower multimode potential whereas for AFC it is the lack of on-demand read-out (predetermined storage time). Note that, in order to turn the AFC into an on-demand memory one can use so-called spin-wave storage [31], but this would require a three-level configuration with two ground-state spin levels and an optically excited state.

We here propose a modified scheme where we combine the two methods. The applied inhomogeneous broadening in CRIB can be used as a more general tool for controlling the collective emission rate, as we have shown in [53]. In particular one can inhibit the revival of the
To summarize, by combining the two techniques one can create an AFC memory where the emission time can be controlled in discrete steps, a digital quantum memory. This while retaining it’s high multimode potential. Note that experimental results similar to those presented here have been obtained at the University of Calgary [57].

VII. POSSIBLE IMPROVEMENTS

The main issue that occurs when working with an erbium doped crystal as material for a quantum memory lies in the inefficient optical pumping. As described in sections III and IV this causes an absorbing background, limits the achievable optical depth of the prepared absorption feature and leads to fluorescence noise. As shown in [22], the pumping efficiency can be further increased by mixing the spins of the excited state using radio-frequency (RF) waves. In this way one improves the effective branching ratio and thus the probability for a population transfer. However, the application of the RF wave causes a heat input into the sample which can lower the lifetime of the ground state [52]. This technical problem can be easily solved with a sufficient cooling power of the cryostat used for the experiments. However, for the measurements presented in this work, such a cryostat was not at our disposal. The limited cooling power also put a bound to the stimulation power we could apply to our sample. A higher stimulation power would reduce the fluorescence noise even more and increase the efficiency of the population transfer at the same time. However, we noticed a measurable heat input by the stimulation laser into the sample at high power. Also here a higher cooling power as well as a better thermalization of the sample would probably allow a higher efficiency and a lower noise level and thus to a much better signal to noise ratio. It is likely that the fluorescence noise has its origin also in decay channels involving other ground state (crystal field) levels than the ones used for the experiments. The signal to noise ratio could thus be further improved by spectral and polarization filtering after the sample.

The most promising feature that played a role are the persistent holes mentioned in IV. As already discussed, their origin so far remains unclear. We thus suggest to perform a detailed analysis of their origin. If they are due to another level not being either of the two ground state Zeeman levels used in the experiment, which can be populated in a controlled way, one might use this level as shelving state. A third ground state level with a long life- and coherence time would allow one to extend both protocols with a spin wave storage. This would be the enabling feature for AFC- or CRIB-memory with spin wave storage at telecommunication wavelengths. Additionally we suggest to also explore different host materials [20] and to study the influence of the direction and strength of the external magnetic field in more detail. Storage time, both for the AFC and the CRIB, can be

![Figure 11](Image)

**FIG. 11.** (COLOR ONLINE) Here we show control of AFC echoes using the CRIB effect. The dashed line (in blue) is a reference measurement where no CRIB effect was used. The short-dashed line (red) shows how the first echo can be suppressed by applying an electric field gradient to the sample. In practice a small echo can still be seen since we could not apply a large enough broadening with respect to the comb peak separation. Note that since the applied field is not reversed here, also the second echo is suppressed. The solid line (black) shows the results if the broadening is reversed at $t = 1/\Delta$, such that the initial coherence is recovered at $t = 2/\Delta$, resulting in a recovery of the second echo. Here $\bar{n} \approx 8$ and dark counts have been subtracted from the data.

First AFC echo by applying a large enough broadening after the absorption of the input pulse. Let us here remind that the AFC will rephase periodically due to the periodic comb structure. Hence, by reversing the applied inhomogeneous broadening between, for instance, the first and second echo, one can choose to only allow the material to emit the second echo. In Figure 11 we show an example of such a manipulation of AFC echoes using the CRIB technique.

In Figure 11 (and also in Fig. 9) we can also observe that the echo efficiency decreases with the echo number $m$. This can be understood within the AFC theory [21], which says that the comb finesse causes an intrinsic dephasing during the time spent in the memory. In the case where all previous $m-1$ echoes before the $m$-th echo have been suppressed using the CRIB effect, the efficiency of the $m$-th echo can be calculated using eq. 5, with the last dephasing factor replaced by $e^{(-m^2/F^2)(\pi/4 \ln 2)}$. Otherwise energy will be emitted in the previous echoes and the energy emitted in the $m$-th echo is not trivial to calculate. Let’s also note that this result holds if the retrieval efficiency is low, such that a small amount of energy is emitted in each echo (a reasonable assumption in our experiment). The above arguments lead to the conclusion that in order for higher order echoes to be efficient, the comb finesse should be increased. Then this technique can be used to bias the retrieval efficiency towards higher order echoes.
increased by creating a narrower initial spectral feature. This would in turn require a frequency stabilized laser.

VIII. CONCLUSIONS

We have presented experimental results obtained with two different approaches for a light-matter interface at the single photon level. By using an erbium doped crystal into an yttrium ortho silicate crystal (Er$^{3+}$:Y$_2$SiO$_5$), we were able to carry out these measurements at telecommunication wavelengths. The main difficulty when working with Er$^{3+}$:Y$_2$SiO$_5$ is the inefficient optical pumping. Fluorescence noise from ions left in the excited state after state preparation is an issue when working at the single photon level in this material. However, we have shown how to minimize this source of noise. We have presented results concerning the possibility of pulse compression and stretching with the CRIB scheme. We have also shown that the presence of persistent holes not only allows one to perform measurements at the single photon level at a reasonable noise level, but also to observe CRIB echoes significantly above the temperature expected from measurements of the Zeeman level lifetime in this material [55]. However, the efficiency of the optical pumping in this material remains low and further research on this is required in order to make the device a useful tool for future experiments in quantum information science.

Furthermore we have presented AFC experiments at the single photon level in the same material. We have demonstrated the preservation of coherence during storage by an interference experiment using a local oscillator. These measurements also show how the phase of the echo can be changed with respect to the input pulse by a frequency shift of the AFC. The preservation of coherence for the second AFC echo was also shown. We observe that its phase is shifted twice as much as the phase of the first echo. The limited visibility of the interference fringes of both measurements could be explained by the phase noise of the local oscillator.

Overall we believe that our experiments show the potential of erbium doped solids for quantum memory applications and we hope that it will motivate some further material research.

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