Computation of 10 Knife Edge Diffraction Loss Using Epstein-Peterson Method

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Abstract: In this paper, application of Epstein-Peterson method in the computation of a ten (10) multiple knife edge diffraction loss is presented for a 1 GHz microwave link. In the computation, each of the ten obstructions gave rise to a virtual hop which resulted in a knife edge diffraction loss. What is peculiar to the Epstein-Peterson method is how the virtual hops are identified or defined. The overall diffraction loss, according to the Epstein-Peterson method is the sum of the diffraction loss computed for each of the ten virtual hops. In the results, the highest LOS clearance height of 5.727273 m occurred in virtual hop 5 whereas the highest diffraction parameter of 0.333333 and the highest virtual hop diffraction loss of 8.908754 dB occurred in virtual hop 1. The lowest LOS clearance height of 0.4 m, the lowest diffraction parameter 0.029814 and the lowest virtual hop diffraction loss, 6.290874 dB occurred in virtual hop 9. In all, the overall effective diffraction loss for the 10 knife edge obstructions as computed by the Epstein-Peterson is 69.93384 dB.

Keywords: Multiple Knife Edge, Diffraction Loss, Diffraction Parameter, Line of Sight, Clearance Height, Virtual Hop, Epstein-Peterson Method

1. Introduction

In multiple knife edge diffraction loss calculation, two or more knife edge obstructions are considered where the height of each of the obstructions extends above the line of site (LOS) [1-5]. Analysis of such multiple knife edge diffraction can be done in several ways. However, in most cases, the analysis is limited to a maximum of three obstructions because of the increasing complexity of the analysis of more than three multiple knife edge obstructions [6-9]. In this paper, an approach for the determination of ten (10) multiple knife edge diffraction loss using Epstein-Peterson multiple knife edge diffraction loss method is presented [10-14]. Sample 10 knife edge obstructions are used to demonstrate the applicability of the approach for a 1GHz microwave signal.

2 Epstein-Peterson Multiple Knife Edge Diffraction Loss Method

Figure 1 shows a three knife edge obstructions used to present the basic principles of the Epstein-Peterson multiple knife edge diffraction loss method. In figure 1 each of the obstructions that blocks the line of sight constitutes an edge that will cause diffraction loss and also introduces a virtual hop in the link. Each virtual hop has an edge that causes diffraction.

In figure 1, there are three virtual hops, namely:

i. Hop1: H₀-H₁-H₂ with H₁ as the diffraction edge
ii. Hop2: H₁-H₂-H₃ with H₂ as the diffraction edge
iii. Hop3: H₂-H₃-H₄ with H₃ as the diffraction edge

Figure 1. None Line–Of Sight Link With Three Knife Edge Obstructions.
Consider hop 1 in figure 1, the LOS clearance height, $h_1$ is given as

$$h_1 = H_1 - H_1'$$  \hspace{1cm} (1)

Where $H_1'$ is the hop 1 line of sight ($H_0$ to $H_2$) height at a distance of $d_1$ from $H_0$. $H_1'$ is given by similar triangle as [15];

$$\frac{H_1' - H_0}{d_1} = \frac{H_2 - H_0}{d_1 + d_2}$$ \hspace{1cm} (2)

$$H_1' = \frac{d_1(H_2 - H_0)}{d_1 + d_2} + H_0$$ \hspace{1cm} (3)

$$h_1 = H_1 - \left(\frac{d_1(H_2 - H_0)}{d_1 + d_2}\right) - H_0$$ \hspace{1cm} (4)

$$h_1 = H_1 - H_0 - \left(\frac{d_1(H_2 - H_0)}{d_1 + d_2}\right)$$ \hspace{1cm} (5)

Similarly [15],

$$h_2 = H_2 - H_1 - \left(\frac{d_2(H_3 - H_1)}{d_2 + d_3}\right)$$ \hspace{1cm} (6)

Generally, in the Epstein-Peterson multiple knife edge diffraction loss method, for any given hop $j$, the clearance height to its LOS is given as $h_j$ where;

$$h_j = h_{\text{Epstein}(j)} = H_j - H_{j-1} - \left(\frac{d_j(H_{j+1} - H_{j-1})}{d_j + d_{j+1}}\right)$$ \hspace{1cm} (7)

The knife-edge diffraction parameter for any hop $j$ is given as $v_j$ where;

$$v_j = h_{\text{Epstein}(j)} \sqrt{\frac{2(d_j + d_{j+1})}{d_j(d_j + d_{j+1})}}$$ \hspace{1cm} (8)

According to ITU (Rec 526-13, 2011) the knife-edge diffraction loss, $A$ for any given diffraction parameter, $v$ is given as [16,17];

$$A = 6.9 + 20 \log\left(\sqrt{\left(\frac{(v - 0.1)^2}{1}\right) + v - 0.1}\right)$$ \hspace{1cm} (9)

where $A$ is in dB

Then, in respect of knife-edge diffraction loss for any hop $j$ with diffraction parameter, $v_j$, the knife-edge diffraction loss is denoted as $A_j$, where ITU approximation model for $A_j$ is given as;

$$A_j = 6.9 + 20 \log\left(\sqrt{(v_j - 0.1)^2 + 1} + v_j - 0.1\right)$$ \hspace{1cm} (10)

where $A_j$ is in dB

According to the Epstein-Peterson multiple diffraction loss method, the effective diffraction loss for all the $m$ hops is given as;

$$A = A_1 + A_2 + \cdots + A_m = \sum_{j=1}^{m} (A_j)$$ \hspace{1cm} (11)

$$A = \sum_{j=1}^{m} \left(6.9 + 20 \log\left(\sqrt{(v_j - 0.1)^2 + 1} + v_j - 0.1\right)\right)$$ \hspace{1cm} (12)

3. Case Study: 10 Knife Edge Diffraction Loss Computation

The case study is a 10 knife edge obstructions as shown in figure 2. The 10 knife edge obstruction have heights $H_1, H_2, ..., H_{10}$ while $H_0$ and $H_{11}$ are the transmitter and receiver heights respectively. Also, the distance of obstruction $(i+1)$ from obstruction $i$ is $d(i+1)$ where $i=0,1,2,...,10$. Again, for the transmitter $i=0$ and for the receiver $i=11$. Table 1 gives the height, $H(i)$ and the distance $d(i)$ between adjacent obstructions for the 10 knife edge obstructions along with the transmitter and receiver. The dataset in Table 1 and Figure 2 are used to present numerical computations of the 10 knife edge diffraction loss using the Epstein-Peterson method.

| Obstructions | Distance(km) Between Adjacent Obstructions | Knife Edge Obstruction Height |
|--------------|------------------------------------------|-----------------------------|
| (Transmitter) H0 | 10 | (Receiver) H11 | 10 |
| 1 | d1 | 1 | H1 | 18 |
| 2 | d2 | 2 | H2 | 24 |
| 3 | d3 | 3 | H3 | 30 |
| 4 | d4 | 4 | H4 | 36 |
| 5 | d5 | 5 | H5 | 42 |
| 6 | d6 | 6 | H6 | 45 |
| 7 | d7 | 5 | H7 | 37 |
| 8 | d8 | 4 | H8 | 28 |
| 9 | d9 | 3 | H9 | 20 |
| 10 | d10 | 2 | H10 | 14 |
| 11 | d11 | 1 | (Receiver) H11 | 10 |
| d | 36 | F = 1GHz | \lambda = 0.3 |

Table 1: The Height of the Ten (10) Knife Edge Obstructions and the distance between adjacent obstructions.

| j | H(j-1) | H(j) | H(j+1) | d(j) | d(j+1) | b(j) | V(j) | A(j) |
|---|-------|------|-------|------|-------|------|------|------|
| 1 | 10 | 18 | 24 | 1 | 2 | 3.333333 | 0.333333 | 8.908754 |
| 2 | 18 | 24 | 30 | 2 | 3 | 1.2 | 0.089443 | 6.808302 |
| 3 | 24 | 30 | 36 | 3 | 4 | 0.857143 | 0.053452 | 6.495837 |
| 4 | 30 | 36 | 42 | 4 | 5 | 0.666667 | 0.036515 | 6.348945 |
| 5 | 36 | 42 | 45 | 5 | 6 | 1.900901 | 0.094388 | 6.851255 |
| 6 | 42 | 45 | 37 | 6 | 5 | 5.727273 | 0.283164 | 8.482178 |
| 7 | 45 | 37 | 28 | 4 | 3 | 1.444444 | 0.079115 | 6.718613 |
| 8 | 37 | 28 | 20 | 3 | 2 | 0.714286 | 0.044544 | 6.418558 |
| 9 | 28 | 20 | 14 | 4 | 2 | 0.4 | 0.029814 | 6.290874 |
| 10 | 20 | 14 | 10 | 2 | 1 | 0.666667 | 0.066667 | 6.610524 |

Table 2: The LOS Clearance Height, $h(j)$, The Diffraction Parameter, $v(j)$ and The Diffraction Loss, $A(j)$ For The 10 Virtual Hops As Computed By Epstein-Peterson Method.
Generally, in multiple knife edge diffraction loss methodologies, each knife edge constitutes a virtual hop with two adjacent knife edge obstructions, or with the transmitter and a knife edge obstruction or with a knife edge obstruction and with the receiver. In this study, the 10 knife edge obstructions gave rise to 10 virtual hops. In Table 2, the results of the LOS clearance height, $h(j)$, the diffraction parameter, $V(j)$ and the diffraction loss, $A(j)$ computed for the 10 virtual hops using the Epstein-Peterson method are presented. The highest LOS clearance height $h(j) = 5.727273$ m occurred in virtual hop $j = 5$ as shown in Table 2 and figure 3. However, the highest diffraction parameter, $V(j) = 0.333333$ is obtained in virtual hop $j = 1$, as shown in Table 2 and figure 3 and figure 4. The lowest LOS clearance height $h(j) = 0.4$ m occurred in virtual hop $j = 9$. Also, the lowest diffraction parameter, $V(j) = 0.029814$ occurred in virtual hop $j = 9$.

In Table 2 and figure 4 the lowest virtual hop diffraction loss, $A(j) = 6.290874$ dB occurred in virtual hop $j = 9$ whereas, the highest virtual hop diffraction loss, $A(j) = 8.908754$ dB occurred in virtual hop $j = 1$. In all, the overall effective diffraction loss for the 10 knife edge obstructions as computed by the Epstein-Peterson method is $69.93384$ dB.
4. Conclusion

Ten multiple knife edge diffraction loss computation with Epstein-Peterson method is presented. The study is conducted for a 1 GHz microwave line link. In the computation, each of the ten obstructions gave rise to a virtual hop which resulted in a knife edge diffraction loss. The overall diffraction loss, according to the Epstein-Peterson method is the sum of the diffraction loss computed for each of the ten virtual hops. What is peculiar to the Epstein-Peterson method is how the virtual hops are identified or defined.

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