Constraints on massive axion-like particles from X-ray observations of NGC 1275

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ABSTRACT
If axion-like particles (ALPs) exist, photons can convert to ALPs on passage through regions containing magnetic fields. The magnetized intracluster medium of large galaxy clusters provides a region that is highly efficient at ALP–photon conversion. X-ray observations of active galactic nuclei (AGNs) located within galaxy clusters can be used to search for and constrain ALPs, as photon–ALP conversion would lead to energy-dependent quasi-sinusoidal modulations in the X-ray spectrum of an AGN. We use Chandra observations of the central AGN of the Perseus Cluster, NGC 1275, to place bounds on massive ALPs up to \( m_a \sim 10^{-11} \text{ eV} \), extending previous work that used this data set to constrain massless ALPs.

Key words: galaxies: active – galaxies: individual: NGC 1275 – galaxies: nuclei.

1 INTRODUCTION
Axions are a hypothetical extension of the Standard Model, originally motivated by providing an appealing solution to the strong CP problem of Quantum Chromodynamics (QCD) (Peccei & Quinn 1977; Weinberg 1978; Wilczek 1978). A recent review of axion physics is Marsh (2016). While the original QCD axion requires a coupling to the strong force, it is also interesting to consider more general axion-like particles (ALPs) that couple only to electromagnetism. Such ALPs arise generally in string compactifications (see e.g. Conlon 2006; Svrcek & Witten 2006; Cicoli, Goodsell & Ringwald 2012). An ALP \( a \) interacts with photons via the Lagrangian:

\[ a g_{\gamma \gamma} E \cdot B, \tag{1} \]

where \( g_{\gamma \gamma} \) is a constant that parametrizes the strength of the coupling and \( E, B \) are the electric and magnetic fields, respectively. While we refer in this paper to ALPs, the physics is also relevant for photophilic models of the QCD axion in which the mass is much smaller (or the photon coupling significantly enhanced) compared to naive expectations, such as Farina et al. (2017), Agrawal et al. (2018), and Agrawal & Howe (in preparation).

As they attain masses only by non-perturbative effects, ALPs naturally have extremely small masses. The relevant physics is then described by the Lagrangian

\[ \mathcal{L} = \frac{1}{2} \partial_\mu a \partial^\mu a + \frac{1}{2} m_a^2 a^2 + a g_{\gamma \gamma} E \cdot B. \tag{2} \]

The ALP–photon coupling produced by the interaction implies that, within a background magnetic field, the ALP state \( a \) has a two-particle interaction with the photon \( \gamma \). Under this mixing, the ‘mass’ eigenstate of the Hamiltonian is a mixture of the photon and ALP ‘flavour’ eigenstates, causing oscillation between the modes in a way analogous to neutrino oscillations. The dynamics of the mixing are discussed in Sikivie (1983) and Raffelt & Stodolsky (1988), and we briefly review it in Section 2.

ALP–photon conversion is enhanced by large magnetic field coherence lengths. As it extends over megaparsec scales and contains coherence lengths up to tens of kiloparsecs, this makes the intracluster medium of galaxy clusters particularly efficient ALP–photon converters (Burrage, Davis & Shaw 2009; Conlon & Marsh 2013; Angus et al. 2014; Powell 2015; Conlon, Marsh & Powell 2016; Day 2016; Schlederer & Sigl 2016; Jennings, in preparation). For X-ray point sources that are located in or behind a cluster, this conversion can produce quasi-sinusoidal modulations in the spectrum of the source, which can be used to constrain ALP parameter space (Wouters & Brun 2013; Berg et al. 2017; Conlon et al. 2017; Marsh et al. 2017; Conlon et al. 2018) (see Payez, Cudell & Hutsemekers 2012; Wouters & Brun 2012; Ajello et al. 2016; Montanino et al. 2017, for some related work in different wavebands).

Generally, the cluster magnetic field is expected to be turbulent and multiscale, with a characteristic range of coherence lengths in the 1–10 kpc range with a central magnetic field strength in the 2–30 \( \mu \text{G} \) range (larger for cool core clusters). The magnetic field properties are measured using Faraday rotation measures (see e.g. Bonafede et al. 2015). The radial dependence of the overall magnitude of the cluster magnetic field \( |B(r)| \) is conventionally related to the electron density \( n_e(r) \) as

\[ |B(r)| = |B_0| \left( \frac{n_e(r)}{n_e(0)} \right)^{\eta}, \tag{3} \]
where $\eta$ is a constant expected to be between 0.5 and 1. The electron density can be parametrized as a $\beta$ model:

$$n_e(r) = n_0 \left[ 1 + \left( \frac{r}{r_c} \right)^2 \right]^{-\frac{\beta}{2}}, \tag{4}$$

where $n_0$ is the central electron density, $r_c$ is the radius of the core itself, and $\beta$ is a constant. For a cool-core cluster such as the Perseus cluster, a double beta model can be used:

$$n_e(r) = n_{0,1} \left[ 1 + \left( \frac{r}{r_{c,1}} \right)^2 \right]^{-\frac{\beta_1}{2}} + n_{0,2} \left[ 1 + \left( \frac{r}{r_{c,2}} \right)^2 \right]^{-\frac{\beta_2}{2}}. \tag{5}$$

This paper extends previous studies on ALP constraints from the central active galactic nucleus (AGN) of the Perseus cluster to the case of massive ALPs. We first briefly review the dynamics of ALP–photon conversion.

## 2 AXION–PHOTON DYNAMICS

We align axes so that propagation is in the $z$ direction. Following the derivation in Raffelt & Stodolsky (1988), the dynamics of the propagation of an axion–photon state $|\Psi(E)\rangle$ of energy $E$ is given by

$$\omega + \left( \begin{array}{c} \Delta_\alpha \\ \Delta_\beta \\ \Delta_{\gamma x} \\ \Delta_{\gamma y} \\ \Delta_{\gamma y} \\ \Delta_{\alpha} \end{array} \right) \left( \begin{array}{c} \alpha_x \\ \alpha_y \\ \alpha_x \\ \alpha_y \\ \alpha_y \\ \beta \end{array} \right) = \frac{i}{\beta} \frac{\partial}{\partial \zeta} \left( \begin{array}{c} \alpha_x \\ \alpha_y \\ \alpha_y \\ \alpha_y \end{array} \right), \tag{6}$$

where $|\Psi(E)\rangle$ is a superposition state of $(|\gamma_x(E)\rangle, |\gamma_y(E)\rangle$ (the $x$- and $y$-polarized photon eigenstates, respectively), and $|a\rangle$ (the axion eigenstate), as given by

$$|\Psi(E)\rangle = \alpha_x |\gamma_x(E)\rangle + \alpha_y |\gamma_y(E)\rangle + \beta |a\rangle \tag{7}$$

Here $\Delta_\gamma = -\frac{\omega^2}{2m_\gamma^2}$, $\Delta_\alpha = -\frac{\omega^2}{2m_\alpha^2}$, $\Delta_{\gamma x} = \frac{1}{2} B g_{\gamma y}$, $\Delta_{\gamma y} = \frac{1}{2} B g_{\gamma y}$, and

$$\omega_p = \sqrt{\frac{4\pi e n_e}{m_e}} \tag{8}$$

is the plasma frequency, for which $\alpha$ is the fine structure constant and $n_e$ is the electron mass. $\Delta_\gamma$ refers to Faraday rotation, which is negligible for X-ray energies and we set it to zero. In natural units, $\omega = E$.

This equation can be used to evolve an initially pure photon state through many magnetic field domains and evaluate the conversion amplitude into an axion. During this evolution, the $\omega$ term on the left-hand side of equation (6) only contributes an overall phase into the final state, and thus may be ignored.

In the case of a single magnetic field domain of length $L$, the conversion probability $P(|\gamma_x \rightarrow |a\rangle$ simplifies to an illustrative analytic expression,

$$P(|\gamma_x \rightarrow |a\rangle = 4\theta^2 \sin^2(\Delta_{\text{osc}} L/2), \tag{9}$$

where $\theta \approx \frac{1}{2} \tan(2\theta) = \frac{\Delta_{\gamma x}}{\Delta_{\gamma y}} = \Delta_{\text{osc}}$, and $\Delta_{\text{osc}} = \Delta_\gamma - \Delta_\alpha$.

## 3 SOURCE

The photon source considered in this paper is the AGN of the central galaxy of the Perseus cluster NGC 1275. Constraints in the case of massless axions were considered previously in Berg et al. (2017), and this paper aims at extending bounds to the case of massive axions. This source is particularly attractive from the perspective of constraining axions. It is extremely bright (one of the brightest extragalactic sources in the X-ray sky). The brightness is useful because it results in a large number of photon counts, which gives statistical power in constraining any ALP-induced deviations away from an astrophysical power law. It is also located at the centre of a large, massive cool-core galaxy cluster – the Perseus cluster. This is advantageous as, on physical grounds, one expects the magnetic field environment of Perseus to be favourable for ALP–photon conversion. As a cool-core cluster, it has a high central magnetic field, and as a massive cluster one also expects a stronger magnetic field than for weaker, less developed clusters.

The radial electron density profile $n_e(r)$ can be described by a double beta model of the form of equation (5), where

$$n_{0,1} = 3.9 \times 10^{-2} \text{ cm}^{-3},$$

$$n_{0,2} = 4.05 \times 10^{-3} \text{ cm}^{-3},$$

$$r_{c,1} = 80 \text{ kpc},$$

$$r_{c,2} = 280 \text{ kpc},$$

and $\beta_1 = 1.2, \beta_2 = 0.58$ (Churazov et al. 2003).

Knowing $n_e(r)$, we may then infer an overall radial profile for the magnitude of the magnetic field $|B(r)|$ using equation (3). We take an intermediary value of $\eta = 0.7$ and use $|B_0| = 25 \mu$G. This value is based on the central magnetic field estimated in Taylor et al. (2006) – for a different central value, the constraints on $g_{\gamma y}$ scale linearly with $B$ (larger $B$ allows weaker couplings to be excluded).

The electron density profile $n_e(r)$ also sets the radial profile of the plasma frequency $\omega_p(r)$ using equation (8), and we plot this in Fig. 1 (in practice, there may be localized fluctuations in the electron density, but here we treat this as smooth). We see that the plasma frequency declines from around $\omega_p \sim 10^{-11}$ eV near the centre to $\omega_p \sim 10^{-12}$ eV near the outskirts.

This paper is concerned with axion masses in this range. Axion masses significantly lower than $10^{-12}$ eV can be treated as effectively massless, whereas – as we shall see – masses significantly larger than $10^{-11}$ eV are also uninteresting here, as then conversion is highly suppressed and no competitive bounds can be extracted.

## 4 METHODOLOGY

The methodology used in this paper directly extends that described in Berg et al. (2017), Conlon et al. (2017), Marsh et al. (2017), first developed in Wouters & Brun (2013) for their study of the central AGN of the Hydra A cluster. It involves taking the spectrum of an AGN, fitting it to an absorbed power law, and constraining the allowed couplings of ALPs by bounding any deviations from an astrophysical power law.

![Figure 1. Radial profile of plasma frequency $\omega_p$ for NGC 1275.](https://academic.oup.com/mnras/article-abstract/479/2/2243/5037953)
Table 1. The four Chandra ACIS-I observations used. The counts/events from all four observations were later combined by the Sherpa software, and then fit to a power law.

| Obs ID | Exposure (ks) | Year | Instrument |
|--------|---------------|------|------------|
| 11713  | 112.24        | 2009 | ACIS-I     |
| 12025  | 17.93         | 2009 | ACIS-I     |
| 12033  | 18.89         | 2009 | ACIS-I     |
| 12036  | 47.92         | 2009 | ACIS-I     |

4.1 The observed data

We use Chandra observations of NGC 1275. Chandra is ideal for this purpose as its excellent angular resolution allows the AGN to be discriminated from the bright contaminating background of the Perseus cluster itself. Although there are a total of 1.5 Ms of Chandra observations of NGC 1275, we restrict to a subset of four with a total exposure of 200 ks as detailed in Table 1. There is no contamination from flares and we use all of the available time.

For these four observations, the AGN is located around 8 arcmin away from the optical axis. For the remaining 1.3 Ms, the AGN is on-axis for 1 Ms and around 3 arcmin off-axis for the remaining 300 ks. The advantage of being so far off-axis is that the image is substantially spread out, greatly reducing the effects of pile-up. In contrast, the on-axis observations are highly piled up, making them much less suited for the purpose of extracting a relatively clean spectrum of the AGN.

What are the effects of pile-up in these off-axis observations? The effect of pile-up is to worsen the quality of a fit, by redistributing photons to the wrong energies, with a distribution that is incompatible with either the spectrum of the source or the energy-dependent effective area of the telescope.

This question was analysed in Berg et al. (2017) for the purpose of constraining massless ALPs. There the Chandra simulation software (MARX and CHART) was used to simulate the effects of pile-up for the same observational parameters (observation date, off-axis location, etc.) as for the actual observational data set (the same data set used in this paper). Simulations were carried out both for a source with the same strength as the AGN and also for one with double the observed strength, so to explore the effects of a level of pile-up significantly greater than in the observed data.

It was found there that, in terms of bounding ALPs, the effects of pile-up represent much less of a limiting factor than the uncertainties in the magnetic fields in the cluster along the line of sight. Such MARX and CHART simulations do not show any tendency for pile-up to smooth out ALP-induced modulations (e.g. fig. 10 in Berg et al. 2017 shows the simulated effects of a 15 per cent pile-up level, in which the ALP-induced modulations are still easily visible). This statement holds even for simulated sources where the strength was set artificially high so as to be even more piled up than for the actual data.

In setting bounds, we exclude ALPs couplings that, when using data simulated using Fake backgrounds, give a fit clearly worse than the fit to the real data. As MARX and CHART simulations do not show ALP-induced modulations being washed out by pile-up, such couplings give a fit that is sufficiently bad that we can exclude these couplings as incompatible with the quality of the fit to the real data – even though this fit is not itself perfect with a reduced $\chi^2$ of 1.46, this is sufficient to exclude ALP couplings that would result in a reduced $\chi^2$ of $(for\ illustration)\ 2.5$.

The data set was analysed using the analysis software CIAO 4.9 (together with CALDB 4.7.4) and Sherpa (Freeman, Doe & Siemigowska 2001; Fruscione et al. 2006). After standard data reprocessing was applied, the spectrum was extracted from an ellipse of radii 7.636 and 5.240 arcsec surrounding the AGN. The background was taken from a region surrounding and centred on the AGN consisting of a circular annulus that excluded the region occupied by the AGN itself.

For the data analysis, the extracted spectrum was restricted to the range $0.7 \text{ keV} < E < 5 \text{ keV}$. The background was subtracted to reduce the number of counts present in the spectrum from the cluster thermal emission. We note that as the centre of the Perseus cluster is a rather complex and spatially inhomogeneous place, this will not entirely eliminate the contribution of thermal emission. However, given that before subtraction the thermal emission in the extraction region is not more than 10–15 per cent of the AGN emission (as shown in Berg et al. 2017), subtraction does reduce it so that it is no more than a few per cent of the total emission.

The counts were then binned with 200 counts per bin, and the spectrum was fitted with an absorbed power law combined with a resolved power law multiplied with resolution function using ‘$\chi^2\text{dof} = \chi^2$’ statistics in Sherpa.

![Figure 2. Spectrum obtained for combined Chandra ACIS-I observations of NGC 1275, with 200 counts per bin, fitted to absorbed power law multiplied with resolution function using ‘$\chi^2\text{dof} = \chi^2$’ statistics in Sherpa.](Image)

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Here $\Lambda$ is a normalization factor, $\gamma$ is the power-law index, and $n_H$ is the hydrogen column density. The AGN is unobscured and, while one cannot exclude a small local contribution to the absorption, the dominant contribution comes from the Milky Way (which is large as Perseus is at low galactic latitude and close to the Milky Way disc).

The fitting statistic used was the $\chi^2\text{dof} = \chi^2$ statistic of the Sherpa fitting package provided with CIAO. The resulting fit is displayed in Fig. 2, and the fit parameters and reduced $\chi^2$ value are shown in Table 2.

As with previous work on this topic (Wouters & Brun 2013; Berg et al. 2017; Conlon et al. 2017; Marsh et al. 2017), the ability to constrain ALPs arises from the fact that the absorbed power law is a reasonably good fit to the data (as can be seen in Fig. 2). ALP–photon couplings that would give deviations significantly larger than are actually observed in the data are therefore excluded. We now describe how we determine the expected level of modulations arising from ALPs of a specified mass and coupling.
Table 2. The power-law parameters (11) resulting from the fit, as well as the overall reduced $\chi^2$ value of the fit.

| Parameter | Value |
|-----------|-------|
| $\gamma$ | 1.82 ± 0.01 |
| $\gamma_B$ | 0.22 ± 0.01 |
| Reduced $\chi^2$ | 1.46 |

4.2 Propagation of ALP and photon states

The propagation of photons from NGC 1275 to us, and their conversion into ALPs, is determined by the dynamics described in Section 2. This depends on the precise form of the magnetic field within the Perseus cluster, as it determines the mixing between photon eigenstates and the axion state. However, while it may be possible to characterize statistically the overall strength of the magnetic field together with a reasonable estimate of its radial fall-off, its exact configuration is unknown. The magnetic field arises from the turbulent multiscale dynamics of the ICM, and so a precise magnetic field configuration along any line of sight is impossible to measure.

Thus, in order to simulate the propagation and time-evolution of a photon–axion state starting from the AGN source, we used (discrete) magnetic field configurations randomly generated in the following way. For each simulated magnetic field configuration, the total propagation length is split into 300 discrete domains, with lengths drawn randomly from the following distribution:

$$f(z) = \begin{cases} 0 & \text{if } z > 10 \text{ or } z < 3.5 \\ N_0 z^{-2.2} & \text{if } 3.5 \leq z \leq 10, \end{cases}$$

where $N_0$ is the appropriate normalization constant and $z$ is the domain length given in units of kiloparsecs.

Within each domain, the field is generated as a uniform magnetic field with magnitude set by equation (3), with $r$ evaluated as the distance from the near end of the domain to the centre of the cluster. In any one domain, the direction $\theta$ of this magnetic field in the x–y plane is drawn from a flat distribution for $\theta \in [0, 2\pi)$.

For each value of $m_a$ and $g_{\gamma\gamma}$, 100 such simulated magnetic fields were randomly generated. As per the notation of equations (6) and (7), the $x$- and $y$-polarized states $|\gamma_x\rangle = \begin{pmatrix} 1 \\ 0 \\ 0 \end{pmatrix}$ and $|\gamma_y\rangle = \begin{pmatrix} 0 \\ 1 \\ 0 \end{pmatrix}$ were propagated using equation (6) through each magnetic field realization. This propagation was evaluated for 1000 different photon energies ranging from 0.01 to 10 keV. For each initial state, the photon survival probability was calculated from the final state

$$P(|\gamma \rightarrow |\gamma\rangle) = \alpha_x^2 + \alpha_y^2.$$

For a given energy $E$ and magnetic field configuration, the overall survival rate is found by averaging the survival probabilities for both polarization states.

In this way, we determined the distribution of survival rates $P(E, B(z), m_a, g_{\gamma\gamma})$ for each of the 100 randomly generated magnetic fields $B(z)$. We illustrate these survival rates in the figures below. The plots in Fig. 3 were all generated using the same simulated magnetic field. From these, we can see clearly the way that larger masses increase the energy threshold necessary for there to be significant photon–ALP conversion.

For the purposes of this paper, this procedure was conducted for $0 \leq m_a \leq 15 \times 10^{-12}$ eV at increments of $0.5 \times 10^{-12}$ eV and $0 \leq g_{\gamma\gamma} \leq 1 \times 10^{-11}$ GeV$^{-1}$ at increments of $1 \times 10^{-13}$ GeV$^{-1}$.

4.3 The simulated data

In order to determine the values of $m_a$ and $g_{\gamma\gamma}$ for which the resulting photon–axion conversions (and the spectral modulations they induce) are too great to be consistent with the observed data, we carried out the following procedure.

For every fixed value of $m_a$ and $g_{\gamma\gamma}$, the survival probability distribution for each of the 100 randomly generated magnetic fields was loaded into SHERPA as a table model, and then multiplied by the absorbed power law described in Section 4.1. This gives a ‘fake’ model representing the arrival of spectrum of photons, in the case of an ALP of specified mass and coupling.

Using SHERPA’s `fakesha` command, this model was then used to generate simulated ‘fake’ spectra, corresponding to those that would have been observed by Chandra on propagation through the magnetic field model and in the case that ALPs actually existed with the specified masses and couplings $m_a$ and $g_{\gamma\gamma}$.

In the case of large coupling, these simulated data should be a bad fit. To measure this, we re-fitted it to a pure power law, obtaining the reduced $\chi^2$ value of the fit. We then compared this reduced $\chi^2$ to that obtained when fitting the actual Chandra data. For each pair of $m_a$ and $g_{\gamma\gamma}$, we record the percentage of simulated spectra with worse fits (i.e. a higher reduced $\chi^2$ value) than that obtained in the fit to the actual data. The higher this percentage, the less acceptable the particular $(m_a, g_{\gamma\gamma})$ pair is. The results are displayed in Fig. 4, for exclusions of 67, 95, and 99 per cent (a 95 per cent exclusion means that 95 per cent of simulated data samples gave worse fits than the actual data).

5 ANALYSIS AND CONCLUSIONS

The results of Fig. 4 provide upper bounds on the ALP–photon coupling $g_{\gamma\gamma}$ for every axion mass $m_a$. This plot contains three main regions of interest.

The first is that corresponding to the large mass limit, roughly $m_a \gtrsim 9 \times 10^{-12}$ eV. As illustrated in Fig. 3, at high masses photon–axion rapidly becomes highly suppressed, and conversion probabilities fall off as $g_{\gamma\gamma}^2 m_a^{-1}$. This accounts for the steep rise in the allowed region in this region – when survival probabilities are close to unity across all energies, there are no modulations and so the simulated data and observed data are indistinguishable. In this region, the exclusion limits on $g_{\gamma\gamma}$ rapidly become weak and uncompetitive with other constraints.

The second non-trivial region of interest is the small-mass region corresponding to $0 \lesssim m_a \lesssim 6 \times 10^{-12}$ eV. Here, three roughly uniform bounds may be set on $g_{\gamma\gamma}$ corresponding to the three exclusion levels we are considering (33, 5, and 1 per cent). Here, the 67 per cent (respectively, 95 and 99 per cent) exclusion limits are $g_{\gamma\gamma} \lesssim 1.20$ (1.55, 1.75) $\times 10^{-12}$ GeV$^{-1}$. This is consistent with the results found for massless ALPs in the analysis of Berg et al. (2017), which this paper generalizes.

The third region of interest is that contained within $6 \times 10^{-12}$ eV $\lesssim m_a \lesssim 9.0 \times 10^{-12}$ eV. As discussed in Section 2, in this region, as the photons pass through the Perseus cluster they go through regions where the axion mass $m_a$ is identical to the plasma frequency $\omega_p$. This manifests itself within the photon–axion conversion through the probabilities displayed in Fig. 3 for $m_a = 7.5 \times 10^{-12}$ eV, in which significant conversion occurs even
Figure 3. Photon survival probability versus photon energy (given in units of keV) calculated for various values of $g_{a\gamma\gamma}$ and two representative values of $m_a$ propagated through the same randomly generated magnetic profile. The effects of both weaker coupling and larger masses in suppressing conversion is evident.

Figure 4. Contour plot plotting percentage of better fits against $m_a$ and $g_{a\gamma\gamma}$.

at lower photon energies $E$, unlike the probabilities calculated for the other masses displayed. Thus, while the 33 per cent exclusion level gives a bound of roughly $g_{a\gamma\gamma} \lesssim 1.2 \times 10^{-12}$ GeV$^{-1}$, equal to that established for region 2, the bounds for the 5 and 1 per cent exclusion levels are higher than those established for region 2, appearing as a brief spike. This peaks at $m_a \approx 7.5 \times 10^{-12}$ eV, for which the 5 per cent exclusion bound is $g_{a\gamma\gamma} \lesssim 2.5 \times 10^{-12}$ GeV$^{-1}$, with an additional 'island' at roughly $2.75 \times 10^{-12}$ GeV$^{-1} \lesssim g_{a\gamma\gamma} \lesssim 3.0 \times 10^{-12}$ GeV$^{-1}$, and for which the 1 per cent exclusion bound is $g_{a\gamma\gamma} \lesssim 3.75 \times 10^{-12}$ GeV$^{-1}$.

In summary, we have extended the exclusion limits on massless or ultralight ALPs from NGC 1275 obtained in Berg et al. (2017) to the case of massive ALPs. For cases of an ALP mass $5 \times 10^{-12}$ eV $\lesssim m_a \lesssim 10 \times 10^{-12}$ eV, these constraints are comparable to the ones derived from M87 in Marsh et al. (2017) (although here the axion mass, beyond which the constraints rapidly fall away, is slightly larger than for M87, reflecting the greater electron density in the Perseus cluster compared to Virgo). As ALP bounds always depend on the (unknown) magnetic field that lies between the source and ourselves, the use of multiple sources in deriving constraints increases the robustness of the constraints against the possibility of a particular unfavourable field configuration along the line of sight towards a single source.
Looking to the future, it is clear that in the regime of $m_a \lesssim 10^{-11} \text{eV}$ X-ray astronomy offers the most competitive methods to constrain (or discover) light ALPs.

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