Abstract

We present a strictly lexical parsing model where all the parameters are based on the words. This model does not rely on part-of-speech tags or grammatical categories. It maximizes the conditional probability of the parse tree given the sentence. This is in contrast with most previous models that compute the joint probability of the parse tree and the sentence. Although the maximization of joint and conditional probabilities are theoretically equivalent, the conditional model allows us to use distributional word similarity to generalize the observed frequency counts in the training corpus. Our experiments with the Chinese Treebank show that the accuracy of the conditional model is 13.6% higher than the joint model and that the strictly lexicalized conditional model outperforms the corresponding unlexicalized model based on part-of-speech tags.

1 Introduction

There has been a great deal of progress in statistical parsing in the past decade (Collins, 1996; Collins, 1997; Chaniak, 2000). A common characteristic of these parsers is their use of lexicalized statistics. However, it was discovered recently that bi-lexical statistics (parameters that involve two words) actually played much smaller role than previously believed. It was found in (Gildea, 2001) that the removal of bi-lexical statistics from a state-of-the-art PCFG parser resulted very small change in the output. Bikel (2004) observed that the bi-lexical statistics accounted for only 1.49% of the bigram statistics used by the parser. When considering only bigram statistics involved in the highest probability parse, this percentage becomes 28.8%. However, even when the bi-lexical statistics do get used, they are remarkably similar to their back-off values using part-of-speech tags. Therefore, the utility of bi-lexical statistics becomes rather questionable. Klein and Manning (2003) presented an unlexicalized parser that eliminated all lexicalized parameters. Its performance was close to the state-of-the-art lexicalized parsers.

We present a statistical dependency parser that represents the other end of spectrum where all statistical parameters are lexical and the parser does not require part-of-speech tags or grammatical categories. We call this strictly lexicalized parsing.

A part-of-speech lexicon has always been considered to be a necessary component in any natural language parser. This is true in early rule-based as well as modern statistical parsers and in dependency parsers as well as constituency parsers. The need for part-of-speech tags arises from the sparseness of natural language data. They provide generalizations of words that are critical for parsers to deal with the sparseness. Words belonging to the same part-of-speech are expected to have the same syntactic behavior.

Instead of part-of-speech tags, we rely on distributional word similarities computed automatically from a large unannotated text corpus. One of the benefits of strictly lexicalized parsing is that
Dependency trees are typically assumed to be projective (without crossing arcs), which means that if there is an arc from $h$ to $m$, $h$ is an ancestor of all the words between $h$ and $m$. Let $F(S)$ be the set of possible words between $h$ and $m$. Let $F(S)$ be the set of possible directed, projective trees spanning on $S$. The parsing problem is to find

$$\arg\max_{T \in F(S)} P(T | S)$$

Generative parsing models are usually defined recursively from top down, even though the decoders (parsers) for such models almost always take a bottom-up approach. The model proposed here is a bottom-up one. Like previous approaches, we decompose the generation of a parse tree into a sequence of steps and define the probability of each step. The probability of the tree is simply the product of the probabilities of the steps involved in the generation process. This scheme requires that different sequences of steps must not lead to the same tree. We achieve this by defining a canonical ordering of the links in a dependency tree. Each generation step corresponds to the construction of a dependency link in the canonical order.

Given two dependency links $l$ and $l'$ with the heads being $h$ and $h'$ and the modifiers being $m$ and $m'$, respectively, the order between $l$ and $l'$ is determined as follows:

- If $h \neq h'$ and there is a directed path from one (say $h$) to the other (say $h'$), then $l'$ precedes $l$.
- If $h \neq h'$ and there does not exist a directed path between $h$ and $h'$, the order between $l$ and $l'$ is determined by the order of $h$ and $h'$ in the sentence ($h$ precedes $h'$ $\Rightarrow l$ precedes $l'$).
- If $h = h'$ and the modifiers $m$ and $m'$ are on different sides of $h$, the link with modifier on the right precedes the other.
- If $h = h'$ and the modifiers $m$ and $m'$ are on the same side of the head $h$, the link with its modifier closer to $h$ precedes the other one.
For example, the canonical order of the links in the dependency tree in Figure 1 is: (1, 2, L), (5, 6, R), (8, 9, L), (7, 9, R), (4, 5, R), (3, 4, R), (2, 3, L), (0, 3, L).

The generation process according to the canonical order is similar to the head outward generation process in (Collins, 1999), except that it is bottom-up whereas Collins’ models are top-down. Suppose the dependency tree $T$ is constructed in steps $G_1, \ldots, G_N$ in the canonical order of the dependency links, where $N$ is the number of words in the sentence. We can compute the probability of $T$ as follows:

$$P(T | S) = P(G_1, G_2, \ldots, G_N | S) = \prod_{i=1}^N P(G_i | S, G_1, \ldots, G_{i-1})$$

Following (Klein and Manning, 2004), we require that the creation of a dependency link from head $h$ to modifier $m$ be preceded by placing a left STOP and a right STOP around the modifier side. We make the following independence assumptions:

- Whether there is any more modifier of $w$ on the $d$ side depends only on the number of modifiers already found on the $d$ side of $w$. That is, $E^d_w$ depends only on $w$ and $C^d_w$.
- Whether there is a dependency link from a word $h$ to another word $m$ depends only on the words $h$ and $m$ and the number of modifiers of $h$ between $m$ and $h$. That is,
  - $\text{link}_L(u, v)$ depends only on $u$, $v$, and $C^R_u$.
  - $\text{link}_L(u, v)$ depends only on $u$, $v$, and $C^L_v$.

Suppose $G_i$ corresponds to a dependency link $(u, v, L)$. The probability $P(G_i | S, G_j, \ldots, G_{i-1})$ can be computed as:

$$P(G_i | S, G_j, \ldots, G_{i-1}) = P(E^L_u, E^R_v, \neg E^L_v, \neg E^R_v, \text{link}_L(u, v) | S, G_j, \ldots, G_{i-1})$$

$$= P(E^L_u | u, C^L_u) \times P(E^R_v | u, C^R_u) \times (1 - P(E^L_v | v, C^L_v)) \times P(\text{link}_L(u, v) | u, v, C^L_v)$$

The events $E^L_w$ and $E^R_w$ correspond to the STOP events in (Collins, 1999) and (Klein and Manning, 2004). They are crucial for modeling the number of dependents. Without them, the parse trees often contain some ‘obvious’ errors, such as determiners taking arguments, or prepositions having arguments on their left (instead of right).

Our model requires three types of parameters:

- $P(E^d_w | w, C^d_w)$, where $w$ is a word, $d$ is a direction (left or right). This is the probability of a STOP after taking $C^d_w$ modifiers on the $d$ side.
- $P(\text{link}_R(u, v) | u, v, C^R_u)$ is the probability of $v$ being the $(C^R_u + 1)$’th modifier of $u$ on the right.
- $P(\text{link}_L(u, v) | u, v, C^L_v)$ is the probability of $u$ being the $(C^L_v + 1)$’th modifier of $v$ on the left.

The Maximum Likelihood estimations of these parameters can be obtained from the frequency counts in the training corpus:

- $C(w, c, d)$: the frequency count of $w$ with $c$ modifiers on the $d$ side.
- $C(u, v, c, d)$: If $d = L$, this is the frequency count words $u$ and $v$ co-occurring in a sentence and $v$ has $c$ modifiers between itself and $u$. If $d = R$, this is the frequency count words $u$ and $v$ co-occurring in a sentence and $u$ has $c$ modifiers between itself and $v$.
- $K(u, v, c, d)$: similar to $C(u, v, c, d)$ with an additional constraint that $\text{link}_L(u, v)$ is true.
We define the features of a word $w$ to be the set of words that occurred within a small context window of $w$ in a large corpus. The context window of an instance of $w$ consists of the closest non-stop-word on each side of $w$ and the stop-words in between. In our experiments, the set of stop-words are defined as the top 100 most frequent words in the corpus. The value of a feature $w'$ is defined as the point-wise mutual information between the $w'$ and $w$:

$$\text{PMI}(w, w') = -\log \left( \frac{P(w, w')}{P(w)P(w')} \right)$$

where $P(w, w')$ is the probability of $w$ and $w'$ co-occur in a context window.

The similarity between two vectors is computed as the cosine of the angle between the vectors. The following are the top similar words for the word *keystone* obtained from the English Gigaword Corpus:

- centrepiece 0.28, figment 0.27, fulcrum 0.21, culmination 0.20, albatross 0.19, bane 0.19, pariahs 0.18, lifeblood 0.18, crux 0.18, redoubling 0.17, apothecary 0.17, cornerstones 0.17, perpetuation 0.16, forerunners 0.16, shirking 0.16, cornerstone 0.16, birthright 0.15, hallmark 0.15, centrepiece 0.15, evidenced 0.15, germane 0.15, gist 0.14, reassessing 0.14, engrossed 0.14, Thorn 0.14, biding 0.14, narrowness 0.14, linchpin 0.14, enamored 0.14, formalised 0.14, tenths 0.13, testament 0.13, certainties 0.13, forerunner 0.13, re-evaluating 0.13, antithetical 0.12, extinct 0.12, rarest 0.12, imperiled 0.12, remiss 0.12, hindrance 0.12, detriment 0.12, prouder 0.12, upshot 0.12, cornerstone 0.12, perpetuation 0.12, forebodings 0.12, germane 0.12, gist 0.12, reassessing 0.12, destablisation 0.12, prefaced 0.11, ……

3 Similarity-based Smoothing

3.1 Distributional Word Similarity

Words that tend to appear in the same contexts tend to have similar meanings. This is known as the Distributional Hypothesis in linguistics (Harris, 1968). For example, the words test and exam are similar because both of them follow verbs such as administer, cancel, cheat on, conduct, … and both of them can be preceded by adjectives such as academic, comprehensive, diagnostic, difficult, …

Many methods have been proposed to compute distributional similarity between words (Hindle, 1990; Pereira et al. 1993; Grefenstette, 1994; Lin, 1998). Almost all of the methods represent a word by a feature vector where each feature corresponds to a type of context in which the word appeared. They differ in how the feature vectors are constructed and how the similarity between two feature vectors is computed.

$$P(E_w^d | w, C_w^d) = \frac{C(w, c, d)}{\sum_{c \in C} C(w, c', d)}$$

where $c = C_w^d$;

$$P(\text{link}_R(u, v) | u, v, C_u^R) = \frac{K(u, v, c, R)}{C(u, v, c, R)}$$

where $c = C_u^R$;

$$P(\text{link}_L(u, v) | u, v, C_v^L) = \frac{K(u, v, c, L)}{C(u, v, c, L)}$$

where $c = C_v^L$.

We compute the probability of the tree conditioned on the words. All parameters in our model are conditional probabilities where the left sides of the conditioning bar are binary variables. In contrast, most previous approaches compute joint probabilities $P(E(c_i | u, v) | c, E(c_i))$ where the left sides of the conditioning bar are binary variables. In contrast, most previous approaches compute joint probabilities $P(E(c_i | u, v) | c, E(c_i))$ where the left sides of the conditioning bar are binary variables. In contrast, most previous approaches compute joint probabilities $P(E(c_i | u, v) | c, E(c_i))$ where the left sides of the conditioning bar are binary variables. In contrast, most previous approaches compute joint probabilities $P(E(c_i | u, v) | c, E(c_i))$ where the left sides of the conditioning bar are binary variables. In contrast, most previous approaches compute joint probabilities $P(E(c_i | u, v) | c, E(c_i))$ where the left sides of the conditioning bar are binary variables. In contrast, most previous approaches compute joint probabilities $P(E(c_i | u, v) | c, E(c_i))$ where the left sides of the conditioning bar are binary variables. In contrast, most previous approaches compute joint probabilities $P(E(c_i | u, v) | c, E(c_i))$ where the left sides of the conditioning bar are binary variables. In contrast, most previous approaches compute joint probabilities $P(E(c_i | u, v) | c, E(c_i))$ where the left sides of the conditioning bar are binary variables. In contrast, most previous approaches compute joint probabilities $P(E(c_i | u, v) | c, E(c_i))$ where the left sides of the conditioning bar are binary variables. In contrast, most previous approaches compute joint probabilities $P(E(c_i | u, v) | c, E(c_i))$ where the left sides of the conditioning bar are binary variables. In contrast, most previous approaches compute joint probabilities $P(E(c_i | u, v) | c, E(c_i))$ where the left sides of the conditioning bar are binary variables. In contrast, most previous approaches compute joint probabilities $P(E(c_i | u, v) | c, E(c_i))$ where the left sides of the conditioning bar are binary variables. In contrast, most previous approaches compute joint probabilities $P(E(c_i | u, v) | c, E(c_i))$ where the left sides of the conditioning bar are binary variables. In contrast, most previous approaches compute joint probabilities $P(E(c_i | u, v) | c, E(c_i))$ where the left sides of the conditioning bar are binary variables.
ing data to find a set of similar contexts to \( C \) and estimate the probability of \( E \) based on its probabilities in the similar contexts that are observed in the training corpus.

Similarity-based smoothing was used in (Dagan et al., 1999) to estimate word co-occurrence probabilities. Their method performed almost 40% better than the more commonly used back-off method. Unfortunately, similarity-based smoothing has not been successfully applied to statistical parsing up to now.

In (Dagan et al., 1999), the bigram probability \( P(w_2 \mid w_1) \) is computed as the weighted average of the conditional probability of \( w_2 \) given similar words of \( w_1 \).

\[
P_{\text{SIM}}(w_2 \mid w_1) = \frac{\sum_{w'_1 \in S(w_1)} \text{sim}(w_1, w'_1) P_{\text{MLE}}(w_2 \mid w'_1)}{\text{norm}(w_1)}
\]

where \( \text{sim}(w_1, w'_1) \) denotes the similarity (or an increasing function of the similarity) between \( w_1 \) and \( w'_1 \), \( S(w_1) \) denote the set of words that are most similar to \( w_1 \) and \( \text{norm}(w_1) \) is the normalization factor \( \text{norm}(w_1) = \sum_{w'_1 \in S(w_1)} \text{sim}(w_1, w'_1) \).

The underlying assumption of this smoothing scheme is that a word is more likely to occur after \( w_1 \) if it tends to occur after similar words of \( w_1 \).

We make a similar assumption: the probability \( P(E \mid C) \) of event \( E \) given the context \( C \) is computed as the weight average of \( P(E \mid C') \) where \( C' \) is a similar context of \( C \) and is attested in the training corpus:

\[
P_{\text{SIM}}(E \mid C) = \frac{\sum_{C' \in S^C} \text{sim}(C, C') \text{norm}(C) P_{\text{MLE}}(E \mid C')}{\text{norm}(C)}
\]

where \( S(C) \) is the set of top-K most similar contexts of \( C \) (in the experiments reported in this paper, \( K = 50 \)); \( O \) is the set of contexts observed in the training corpus, \( \text{sim}(C, C') \) is the similarity between two contexts and \( \text{norm}(C) \) is the normalization factor.

In our model, a context is either \([w, C^d_w]\) or \([u, v, C^d_w]\). Their similar contexts are defined as:

\[
S([w, C^d_w]) = \{[w', C^d_w] \mid w' \in S(w) \}
\]
\[
S([u, v, C^d_w]) = \{[u', v', C^d_w] \mid u' \in S(u), v' \in S(v) \}
\]

where \( S(w) \) is the set of top-K similar words of \( w \) \((K = 50)\).

Since all contexts used in our model contain at least one word, we compute the similarity between two contexts, \( \text{sim}(C, C') \), as the geometric average of the similarities between corresponding words:

\[
\text{sim}([w, C^d_w], [w', C^d_w]) = \text{sim}(w, w')
\]
\[
\text{sim}([u, v, C^d_w], [u', v', C^d_w]) = \sqrt{\text{sim}(u, u') \times \text{sim}(v, v')}
\]

Similarity-smoothed probability is only necessary when the frequency count of the context \( C \) in the training corpus is low. We therefore compute

\[
P(E \mid C) = \alpha P_{\text{MLE}}(E \mid C) + (1 - \alpha) P_{\text{SIM}}(E \mid C)
\]

where the smoothing factor \( \alpha = \frac{|C| + 1}{|C| + 5} \) and \( |C| \) is the frequency count of the context \( C \) in the training data.

A difference between similarity-based smoothing in (Dagan et al., 1999) and our approach is that our model only computes probability distributions of binary variables. Words only appear as parts of contexts on the right side of the conditioning bar. This has two important implications. Firstly, when a context contains two words, we are able to use the cross product of the similar words, whereas (Dagan et al., 1999) can only use the similar words of one of the words. This turns out to have significant impact on the performance (see Section 4).

Secondly, in (Dagan et al., 1999), the distribution \( P(\ast \mid w'_1) \) may itself be sparsely observed. When \( P_{\text{MLE}}(w_2 \mid w'_1) \) is 0, it is often due to data sparseness. Their smoothing scheme therefore tends to under-estimate the probability values. This problem is avoided in our approach. If a context did not occur in the training data, we do not include it in the average. If it did occur, the Maximum Likelihood estimation is reasonably accurate even if the context only occurred a few times, since the entropy of the probability distribution is upper-bounded by log 2.

### 4 Experimental Results

We experimented with our parser on the Chinese Treebank (CTB) 3.0. We used the same data split as (Bikel, 2004): Sections 1-270 and 400-931 as
the training set, Sections 271-300 as testing and Sections 301-325 as the development set. The CTB contains constituency trees. We converted them to dependency trees using the same method and the head table as (Bikel, 2004). Parsing Chinese generally involve segmentation as a preprocessing step. We used the gold standard segmentation in the CTB.

The distributional similarities between the Chinese words are computed using the Chinese Gigaword corpus. We did not segment the Chinese corpus when computing the word similarity.

We measure the quality of the parser by the undirected accuracy, which is defined as the number of correct undirected dependency links divided by the total number of dependency links in the corpus (the treebank parse and the parser output always have the same number of links). The results are summarized in Table 1. It can be seen that the performance of the parser is highly correlated with the length of the sentences.

| Max Sentence Length | 10   | 15   | 20   | 40   |
|---------------------|------|------|------|------|
| Undirected Accuracy | 90.8 | 85.6 | 84.0 | 79.9 |

Table 1. Evaluation Results on CTB 3.0

We also experimented with several alternative models for dependency parsing. Table 2 summarizes the results of these models on the test corpus with sentences up to 40 words long.

One of the characteristics of our parser is that it uses the similar words of both the head and the modifier for smoothing. The similarity-based smoothing method in (Dagan et al., 1999) uses the similar words of one of the words in a bigram. We can change the definition of similar context as follows so that only one word in a similar context of $C$ may be different from a word in $C$ (see Model (b) in Table 2):

$S\left( \left[ u, v, C_w^d \right] \right) = \left\{ \left[ u', v, C_w^d \right] \mid u' \in S(u) \right\} \cup \left\{ \left[ u, v', C_u^d \right] \mid v' \in S(v) \right\}$

where $w$ is either $v$ or $u$ depending on whether $d$ is $L$ or $R$. This change led to a 2.2% drop in accuracy (compared with Model (a) in Table 2), which we attribute to the fact that many contexts do not have similar contexts in the training corpus.

Since most previous parsing models maximize the joint probability of the parse tree and the sentence $P(T,S)$ instead of $P(T \mid S)$, we also implemented a joint model (see Model (c) in Table 2):

$$P(T,S) = \prod_{i=1}^{N} P(E_{m_i} \mid m_i, C_m^L) \times P(E_{h_i} \mid m_i, C_m^R) \times \left(1 - P(E_{h_i} \mid h_i, C_{h_i}^d) \times P(m_i \mid h_i, C_{h_i}^d)\right)$$

where $h_i$ and $m_i$ are the head and the modifier of the $i$'th dependency link. The probability $P(m_i \mid h_i, C_{h_i}^d)$ is smoothed by averaging the probabilities $P(m_i \mid h_i', C_{h_i}^d)$, where $h_i'$ is a similar word of $h_i$ as in (Dagan et al., 1999). The result was a dramatic decrease in accuracy from the conditional model’s 79.9% to 66.3%.

Our use of distributional word similarity can be viewed as assigning soft clusters to words. In contrast, parts-of-speech can be viewed as hard clusters of words. We can modify both the conditional and joint models to use part-of-speech tags, instead of words. Since there are only a small number of tags, the modified models used MLE without any smoothing except using a small constant as the probability of unseen events. Without smoothing, maximizing the conditional model is equivalent to maximizing the joint model. The accuracy of the unlexicalized models (see Model (d) and Model (e) in Table 2) is 71.1% which is considerably lower than the strictly lexicalized conditional model, but higher than the strictly lexicalized joint model. This demonstrated that soft clusters obtained through distributional word similarity perform better than the part-of-speech tags when used appropriately.
5 Related Work

Previous parsing models (e.g., Collins, 1997; Charniak, 2000) maximize the joint probability $P(S, T)$ of a sentence $S$ and its parse tree $T$. We maximize the conditional probability $P(T \mid S)$. Although they are theoretically equivalent, the use of conditional model allows us to take advantage of similarity-based smoothing.

Clark et al. (2002) also computes a conditional probability of dependency structures. While the probability space in our model consists of all possible non-projective dependency trees, their probability space is constrained to all the dependency structures that are allowed by a Combinatorial Category Grammar (CCG) and a category dictionary (lexicon). They therefore do not need the STOP markers in their model. Another major difference between our model and (Clark et al., 2002) is that the parameters in our model consist exclusively of conditional probabilities of binary variables.

Ratnaparkhi’s maximum entropy model (Ratnaparkhi, 1999) is also a conditional model. However, his model maximizes the probability of the action during each step of the parsing process, instead of overall quality of the parse tree.

Yamada and Matsumoto (2002) presented a dependency parsing model using support vector machines. Their model is a discriminative model that maximizes the differences between scores of the correct parse and the scores of the top competing incorrect parses.

In many dependency parsing models such as (Eisner, 1996) and (MacDonald et al., 2005), the score of a dependency tree is the sum of the scores of the dependency links, which are computed independently of other links. An undesirable consequence of this is that the parser often creates multiple dependency links that are separately likely but jointly improbable (or even impossible). For example, there is nothing in such models to prevent the parser from assigning two subjects to a verb. In the DMV model (Klein and Manning, 2004), the probability of a dependency link is partly conditioned on whether or not there is a head word of the link already has a modifier. Our model is quite similar to the DMV model, except that we compute the conditional probability of the parse tree given the sentence, instead of the joint probability of the parse tree and the sentence.

There have been several previous approaches to parsing Chinese with the Penn Chinese Treebank (e.g., Bikel and Chiang, 2000; Levy and Manning, 2003). Both of these approaches employed phrase-structure joint models and used part-of-speech tags in back-off smoothing. Their results were evaluated with the precision and recall of the bracketings implied in the phrase structure parse trees. In contrast, the accuracy of our model is measured in terms of the dependency relationships. A dependency tree may correspond to more than one constituency trees. Our results are therefore not directly comparable with the precision and recall values in previous research. Moreover, it was argued in (Lin 1995) that dependency based evaluation is much more meaningful for the applications that use parse trees, since the semantic relationships are generally embedded in the dependency relationships.

6 Conclusion

To the best of our knowledge, all previous natural language parsers have to rely on part-of-speech tags. We presented a strictly lexicalized model for dependency parsing that only relies on word statistics. We compared our parser with an unlexicalized parser that employs the same probabilistic model except that the parameters are estimated using gold standard tags in the Chinese Treebank. Our experiments show that the strictly lexicalized parser significantly outperformed its unlexicalized counter-part.

An important distinction between our statistical model from previous parsing models is that all the parameters in our model are conditional probability of binary variables. This allows us to take advantage of similarity-based smoothing, which has not been successfully applied to parsing before.

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