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Parametric investigation of a rail damper design based on a lab-scaled model

Alireza Jahan Tigh Kuchak¹, Dragan Marinkovic² and Manfred Zehn³

Department of Structural Analysis, Institute of Mechanics, Technical University Berlin, Str. d. 17. Juni 135, D - 10623 Berlin, Germany, e-mail: ¹alireza.jahantighkuchak@campus.tu-berlin.de, ²dragan.marinkovic@tu-berlin.de, ³manfred.zehn@tu-berlin.de

Abstract

Background  Track noise is one of the main issues in the development of railway networks. It is well-known that rail dampers, as a cost-effective, passive means of vibration reduction, do reduce the noise, still neither the mechanism behind their action, nor the influential parameters are well understood.

Purpose  The main purpose of this work is to investigate the efficiency and influential parameters of a rail damper design based on a lab-scaled model of the rail-damper system and an accurate FE model.

Method  Based on experimental and numerical modal analyses and the Modal Assurance Criteria (MAC) analysis, the FE model updating technique was applied in order to develop a highly accurate FE model of the rail-damper system for the investigated frequency range. In a further step, the developed FE model is used in a parametric analysis to assess various damper parameters with respect to the efficiency of damping rail vibrations and, therewith, radiated noise.

Results  The investigation performed based on FE simulations demonstrates how different material and geometric parameters of the damper influence the mobility decay rate of rail vertical vibrations. The investigated parameters are the thickness of still and rubber layers, stiffness and damping loss factor of rubber layers and pre-force in the bolts that press the layers together.

Conclusions  It is shown that the FE model updating technique was capable of producing highly accurate FE model despite the challenging properties of the real structure and that a combination of the lab-scaled model and the FE model represents a cost-effective approach.

Keywords: Rail damper; FE analysis; Decay rate; Modal Assurance Criterion (MAC); Eigenfrequencies; Eigenvectors;
1 Introduction

Structural vibrations represent a rather important aspect in the lifetime of most load-carrying structures. In certain cases and by adding specific devices onto the structures, vibrations may even be used positively, such as for the purpose of energy harvesting [13, 30], or damage detection [18, 31]. However, the negative influence of structural vibrations is more frequently addressed as they may easily trigger damages and therewith compromise structural integrity. Beside those long-term consequences, there are also immediate negative consequences of vibrations, such as reduced ergonomics reflected in compromised comfort [6], unpleasant acoustic emissions [15], etc. Consequently, many research works were dedicated to this topic, ranging from proper description of structural damping [12] to development of various approaches for active [4, 11, 20] and passive [9, 21] suppression of structural vibrations, with special focus to emitted noise attenuation [27] and vibration control.

In the past two decades, a number of studies related to noise reduction at the source of noise emission have been performed. One of the most effective, environment-friendly and economical noise reduction method used in rail tracks is the application of vibration absorber or rail damper. The rolling noise can be measured and predicted through combination of theoretically-developed models and field tests [17, 23, 24]. Both rail and wheel play a key role in this type of noise production, which is closely related to the combination of rail and wheel surface roughness [22]. There are several types of dampers that can be clamped or bolted onto the rail with the aim of reducing both vertical and lateral rail vibration [2, 5, 10]. This type of solution has proven reasonable and efficient [14]. Because of rail-wheel interaction and higher rail vibration amplitude in the vertical direction (bending), most of the studies are focused on suppressing the vertical amplitude. The achieved noise level reduction upon damper installation differs depending on the type of damper, material of rubber pads between rail and sleepers, dimensions and number of layers, etc. [1]. Noise reduction of up to 6 dB has been reported [25, 28].

A number of methods are available to measure and evaluate efficiency of a damper. A rather common and standardized method [3] is to measure the decay rate [19]. This method has been validated through field tests and, related to rails, it has been illustrated that the vibration amplitude decay rate is directly associated to the reduction of noise emitted from the rail [8]. To apply this method onto a track, i.e. as a field test, at least two complete measurements of rail vibration need to be done [16, 28]. The first one is performed prior to damper installation in order to determine vibrational behavior of the rail and the obtained result serves as a reference. Further measurements are done after the damper has been installed between sleepers on both sides of the rail. While the basic idea of the method is rather straightforward, which counts for one of its main advantages, it is also characterized by relatively high costs and a time-consuming process. The standard procedure requires a permission from authorities and involves demanding security issues. For each damper design, the measurements are repeated a sufficient number of times in order to filter out experimental errors. In addition, usually several damper designs are to be tested. Hence, it is easy to understand the extent of this aspect and why it
represents a serious drawback. For that reason, there have been attempts to perform testing on scaled models (rails of 32 m and 6 m) [19, 26].

The study presented here uses first a lab-scaled rail model in both experimental and numerical tests to build a sufficiently accurate FE model that is used in the next step to investigate the sensitivity of the rail’s mobility decay rate on certain damper’s parameters. The approach is supposed to enable cost-effective assessment and, furthermore, an improvement of the damper design.

2 Method

2.1 Lab-scaled model

In order to make the experimental procedure less expensive and experiments feasible with the available equipment, one meter of UIC60 rail was selected as a scaled model. By means of four spring clamps, the rail was fitted with two rail dampers made by Schrey & Veit (S&V) company (Fig1a, 1b). Embedding was done in the same manner as it is typically done onto a real track – the dampers were installed on both sides of the rail, exactly in the middle of the span (between the sleepers) in order to achieve the maximum effect onto the rail decay rate [10].

Fig1. (a) One-meter UIC60 rail fitted with two dampers in the middle, (b) Spring claps used for embedding the dampers
### 2.2 Finite element model and its assessment

Fig 2., left, depicts the rail’s ‘I’ profile, while the right-hand side of Fig 2. shows the CAD model of one-meter UIC60 rail with the dampers. Table 1 gives the geometric and material properties of the rail. The tuned dampers from S&V company consist of a damper platform and additional elastomer and steel layers, all of which are bolted together.

![Fig2. CAD model of one-meter rail: (a) rail’s ‘I’ cross section, (b) rail with dampers](image)

| Parameter          | Notation | Value/Info |
|--------------------|----------|------------|
| Young’s Modulus (MPa) | $E$     | $210 \cdot 10^3$ |
| Density (t/mm³)    | $\rho$   | $7.8 \cdot 10^{-9}$ |
| Poisson’ Ratio     | $\nu$    | 0.28       |
| Length (m)         | $L$      | 1          |
| Mass (kg/m)        | $M$      | 60.34      |

For proper analysis of the influence of various damper parameters onto the resulting decay rate, it was needed first to generate a suitable FE model of the rail-damper assembly, which is further to be used for the parametric analysis.

At first glance, building a suitable FE model of the rail-damper assembly may appear a fairly simple task. However, the damper consists of a platform and a number of steel and rubber layers interconnected with bolts. It turned out that proper modeling of the interaction between the layers made of quite different types of materials is rather challenging. This is primarily due to the fact that the layers, which are pressed together by bolts, do not behave as totally fixed to each other over the boundary surface between the layers. Consequently, merging the FE nodes of the layers in contact would result in a too stiff FE model. Therefore, the contact conditions needed to be given special attention. Using the FE model updating technique based on experimental and numerical modal analyses, the authors have successfully resolved this problem and generated an FE model of the damper (Fig 3)
that yields sufficiently high accuracy and can therefore be reliably used in further analyses [7].

The developed FE model of the rail damper is used here to build the FE model of the rail-damper assembly. It is worthwhile to give some basic information about the model. Due to the geometric properties of the rail and damper and the intended FE analyses, 3D solid elements were used in their discretization. To produce a regular and sufficiently fine FE mesh, the rail’s ‘I’ cross-section was first adequately partitioned (Fig2a.), seeded and meshed. This was followed by the bottom-up mesh technique. In this manner, automatic insertion of tetrahedron elements was avoided and the resulting 3D mesh of the rail contains the linear hexahedron elements (C3D8R element) only, thus improving the cost-effectiveness of the simulation. The damper was discretized using three different elements: linear solid (C3D8R), quadratic hybrid solid (C3D20H) and linear beam (B31) elements for the steel layers, rubbers layers and bolts, respectively. The quadratic hybrid solid element was applied for the rubber layers due to the nearly incompressible mechanical behavior of the material. As a result of the aforementioned FE model updating, the nodes of adjoining layers were merged only over a limited domain around the bolts.

The quality of the developed rail-damper FE model was tested by comparing the results of experimental and numerical modal analyses. In order to avoid the aspect of idealization of boundary conditions (typical for FE models), ‘free-free’ boundary conditions were set in the analyses performed. For realization of the boundary conditions in the experiment, the rail-damper assembly was suspended by a pair of thin strings. A shaker was used to produce excitation (Fig4a) and measurements were done by means of Laser Vibrometer PSV-400 (Fig4b). The Modal Assurance Criteria (MAC) values and comparison of experimentally and numerically obtained eigenfrequencies for the developed rail-damper FE model are given in Table 2 and Fig5a. and 5b.
Table 2 The comparison of modal properties to validate the FE model

| Mode number | Nature of Modes | Eigenfrequency EXP. (Hz) | Eigenfrequency FEM (Hz) | Relative Error (%) | MAC (%) |
|-------------|-----------------|--------------------------|-------------------------|--------------------|---------|
| 1           | 1st bending     | 899.1                    | 891.0                   | 0.9                | 99.12   |
| 2           | 2nd bending     | 1853.4                   | 1821.9                  | 1.7                | 97.24   |
| 3           | 3rd bending     | 2483.8                   | 2568.2                  | -3.4               | 90.01   |
| 4           | 1st torsion     | 2946.3                   | 2863.8                  | 2.8                | 92.31   |
| 5           | 4th bending     | 3956.8                   | 3972.6                  | -0.4               | 83.22   |

Fig. 4. Modal test of one-meter rail with damper: (a) the position of shaker, (b) the position and adjustment of vibrometer

Fig. 5. (a) MAC values and (b) comparison of eigenfrequencies obtained upon updating the FE model
Using the built FE model, a parametric study is to be performed in order to determine the effects of different damper parameters on damping efficiency. The aim is to identify influential parameters and therewith propose a set of parameters that provide improved damping efficiency compared to the damper delivered by S&V company for the purpose of tests. The FE model was scripted by using programming language python to allow for fast and automatic change of the parameters, while Abaqus was used to perform the computations for each set of parameters.

3 Parametric study

The mobility decay rate in the rail’s vertical direction is used as the target variable to check the influence of the parameters. For an easier comparison, the results are computed in one-third octave frequency band. The rail decay rate is computed as proposed by Thompson et al. [8, 24, 29]:

\[
DR \approx \frac{4.343}{\sum_{n=0}^{n_{\text{max}}} \left[ \frac{|A(x_n)|^2}{|A(x_0)|^2} \Delta x_n \right]}
\]

(1)

where \(A\) represents the transfer mobility, \(\Delta x_n\) is the interval distance between the points located at the half-distance between the measurement positions, \(x_n\) is the set of \(n\) measurement points, while \(x_0\) is the excitation (shaker) position. In this work, for each central one-third octave frequency band up to 3200Hz, the decay rate is calculated in order to evaluate the effect of selected damper’s parameters. The reference model is the one provided by S&V company with the thickness of rubber layers equal to 2 mm and the thickness of the bottom steel layers of 15 mm and 8 mm. The pre-force in each bolt is 2000 N. The damping loss factor in rubber layers was specified by S&V company as 0.2. The basic material properties of the layers is given in Table 3.

| Notation            | Value   |
|---------------------|---------|
| **Steel Layers**    |         |
| Young’s Modulus (MPa) | \(E\) | \(210 \cdot 10^3\) |
| Density (t/mm\(^3\)) | \(\rho\) | \(7.8 \cdot 10^{-9}\) |
| Poisson’ Ratio      | \(\nu\) | 0.3 |
| **Rubber Layers**   |         |
| Young’s Modulus (MPa) | \(E\) | 4.5 |
| Density (t/mm\(^3\)) | \(\rho\) | \(1.2 \cdot 10^{-9}\) |
| Poisson’ Ratio      | \(\nu\) | 0.48 |
Chemical composition of the rubber can be modified relatively easily thus generating important mechanical properties in a fairly wide range. Hence, the parameters to be investigated are: 1) mechanical properties of the rubber, such as the Young’s modulus and the damping loss factor, 2) geometrical variables, such as rubber and steel layers thickness, and finally, 3) the pre-force in bolts.

3.1 Young’s Modulus of the rubber layers

The Young’s modulus of the rubber is one of the mechanical parameters that can take values in a relatively wide range. In this study, it is changed within the range of 4-26 MPa with a step of 1 MPa in the range 4-10 MPa and a step of 2 MPa in the range 10-26 MPa. Fig6. reveals the influence of the rubber Young’s modulus for each third-octave frequency separately. Interestingly, with the increasing rubber’s Young’s modulus, various effects are observed at different frequencies – at certain frequencies a relatively small change is observed, but the mobility decay rate may also significantly increase or decrease at other frequencies. Assuming the same importance of each observed frequency (i.e. the same ‘weight factor’), the Young’s modulus of 7 MPa is selected as a preferable one based on the obtained results.

Fig6. Decay rate versus Young’s modulus for each one-third octave frequency

3.2 Thickness of rubber layers

The considered damper includes eight layers assembled onto the platform. Four of those layers are made of rubber and it is assumed that they all have the same thickness. The thickness of the rubber layers is selected as one of the parameters to study its influence onto the mobility decay rate by varying it from 1 to 20 mm with the step size of 0.5 mm. Fig7. shows the influence of this parameter at all considered frequencies. It is mainly the dependency of the mobility decay rate on this parameter.
at higher frequencies (above 500 Hz) that makes the thickness of 10 mm the preferable value.

3.3 Damping loss factor of rubber layers

Another material parameter of the rubber that can be modified by changing the chemical composition of the rubber, technological processing, etc., is the damping loss factor. In this study, the value of this parameter varies in the range of 0.1-1.3 with the step size of 0.05. Fig. 8. shows that the effect of this parameter is diverse as it can both increase and decrease the decay rate depending on the investigated frequency. The influence of this parameter is relatively small at most of the frequencies. Based on the performed calculations, the damping loss factor of 0.45 is suggested.
3.4 Pre-force variation in the bolts

Bolted connections are inexpensive, easy to assemble and offer the possibility of tuning the pre-force in the connected layers. Hence, the pre-force in the range of 0-9 kN with the step size of 0.5 kN is investigated here. It is assumed that all bolts are tightened so as to produce the same pre-force. Fig9. reveals that this parameter has somewhat more complex influence on the obtained results. Changing the pre-force in the predefined range may have diverse influence even if the observation is limited to only one frequency. In addition, at only a few of the observed frequencies, the influence is small. Again, weighting equally the importance of all frequencies, the pre-force of 3 kN is the preferable one for the considered damper.
Besides the four rubber layers, the upper layers that are assembled onto the platform include also four steel layers. Their thickness is also a parameter worth of investigation. While the thickness of all rubber layers was assumed the same and then changed within the predefined range, only the thickness of the two bottom steel layers is investigated here. As those layers have different thicknesses in the model provided by the S&V company (15 mm and 8 mm), ‘added thickness’ ($\Delta t$) is selected as a parameter and applied to the steel layers. This actually implies that the thickness of the two bottom steel layers is changed simultaneously by adding $\Delta t$ to it, with $\Delta t$ in the range between -4 and +4 mm and an increment of 1 mm. The minus sign means that the thickness is reduced, while the plus sign indicates an increase in thickness. Fig10. shows how this change influences the decay rate. Interestingly, while the influence at lower frequencies is practically negligible, the decay rate at higher frequencies increases with the increasing thickness of the steel layers. Finally, a 4 mm increase in thickness of the two steel layers is selected as a preferable value.

3.5 Thickness of steel layers

Fig9. Decay rate versus pre-force for each one-third octave frequency
4 Discussion

In order to summarize the above results and identify which frequencies are particularly affected and which parameters are more influential, the above results are presented here in another form. Namely, the decay rate computed for the initial model (parameters as in the model provided by the S&V company; introduction to Section 3) is compared to the decay rates obtained with five other FE models, in each of which one of the parameters is set to have the preferable value (determined above), while all other parameters are kept at their initial values. The relative increase of the decay rate at each one-third octave frequency for those five FE models is presented on the 3D diagram in Fig11.

The significant increase of decay rate is observed at frequencies above 500 Hz. In fact, the frequency range of 630-2000 Hz is of particular interest for the railway related acoustics. Therefore, the results for all the frequencies above and including 630 Hz are given again in a simpler diagram in Fig12.

From the results, it is obvious that the preferable thickness of rubber layers significantly increases the decay rate at all frequencies compared to the initial value of this parameter. On the other hand, all other parameters exhibit mixed influence, more significant at some frequencies, and less significant at others. The damping loss factor of rubber layers and the thickness of the steel layers demonstrated important influence at several frequencies. It is reasonable to assume that the importance of various parameters at different frequencies strongly depends on the vibration modes of the rail-damper assembly.
Fig11. Relative increase of decay rate for each investigated parameter compared to the initial model.

Fig12. Relative increase of decay rate for investigated parameters at frequencies above 630 Hz.

Finally, a FE model with all preferable damper parameters is generated for the purpose of comparison with the initial mode. The resulting decay rates obtained by means of FE simulations in the observed frequency range are presented in Fig13.
5 Conclusions

The paper elaborates the idea of testing and improving rail damper efficiency based on a lab-scaled rail model with the length of 1 m. Such an approach makes both experimental testing and numerical simulations less expensive, more efficient and feasible with limited equipment. In the first step, a physical model was used to set up a sufficiently accurate FE model of the rail-damper assembly by means of FE model updating technique. The presence of layers made of materials with remarkably different properties, in this case steel and rubber, and their interaction in the assembly added complexity to modeling. Experimental and numerical modal analyses were performed as basis for model updating. Furthermore, the resulting FE model was used in combination with scripting to perform a parametric study. Mobility decay rate of rail vertical vibrations was used as a parameter representative of radiated noise reduction. The objectives of the parametric study were to identify influential parameters with respect to railway acoustics and determine their preferable values. In this manner, a successful and cost-effective approach to damper improvement was demonstrated. The objective of the further work is to apply the approach to large scale models. This is already a work in progress.

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