On the maximum mass of neutron stars and GW190814

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ABSTRACT

Motivated by the recent discovery of a compact object with mass in the range $2.5 - 2.67 M_\odot$ in the binary merger GW190814, we revisit the question of the maximum mass of neutron stars (NSs). We use a Markov Chain Monte Carlo approach to generate about 2 million phenomenological equations of state with and without first order phase transitions. We fix the crust equation of state and only assume causality at higher densities. We show how a strict upper bound on the maximum NS mass can be inferred from upcoming observation of NS radii and masses. The derived upper bounds depend only on relativity and causality, so it is not affected by nuclear physics uncertainties. We show how a lower limit on the maximum mass of NSs, in combination with upcoming measurements of NS radii by LIGO/Virgo and NICER, would constrain the equation of state of dense matter. Finally, we discuss the implications for GW190814.

**Keywords:** neutron stars (1108) — nuclear astrophysics (1129)

1. INTRODUCTION

One of the most striking predictions of general relativity is the existence of a maximum mass for any static matter configuration. The value of the maximum mass for nonrotating neutron stars (NSs; $M_{\text{max}}$) is known to be the most important parameter controlling the outcome of binary NS mergers (Shibata & Taniguchi 2006; Sekiguchi et al. 2011; Hotokezaka et al. 2013; Bauswein et al. 2013; Palenzuela et al. 2015; Bernuzzi et al. 2016; Lehner et al. 2016; Dietrich et al. 2017; Piro et al. 2017; Radice et al. 2018b; Köppel et al. 2019), and determines the possible formation of black holes (BHs) in core-collapse supernovae (O’Connor & Ott 2011; Schneider et al. 2020). Moreover, the knowledge of the maximum NS mass would strongly constrain the (poorly known) equation of state (EOS) of matter at several times nuclear density (Hebeler et al. 2010; Lattimer 2012; Hebeler et al. 2013; Özel & Freire 2016; Annala et al. 2018; Tews et al. 2018; Annala et al. 2020; Miller et al. 2019b).

Recently, the LIGO/Virgo collaboration announced the discovery of a compact binary merger, GW190814, containing a compact object with mass $2.5 - 2.67 M_\odot$ (Abbott et al. 2020). This is either the most massive NS, or the least massive BH ever found. Gravitational wave (GW) observations did not reveal the nature of this object. However, understanding whether it was a NS or a BH would have profound implications for our understanding of high-density physics and the formation of compact objects in the Universe (Abbott et al. 2020).

The theoretical upper limit on $M_{\text{max}}$ is of $3.2 M_\odot$ (Rhoades & Ruffini 1974). This limit rests on weak assumptions on the nature of nuclear forces at around nuclear saturation density ($\rho_{\text{nuc}} \approx 2.7 \times 10^{14} \text{g cm}^{-3}$), and on causality. It can be somewhat reduced if the EOS of matter is assumed to be known (within some uncertainty range) up to some given density (e.g., Kalogera & Baym 1996; Hebeler et al. 2013; Tews & Schwenk 2020). Observationally, only lower bounds on the maximum mass of nonrotating NSs are known with high

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confidence from mass measurements of slowly rotating NSs. The precise determination of the mass of pulsars J1614-2230 (1.908 ± 0.016 M\(_\odot\); Demorest et al. 2010; Fonseca et al. 2016; Arzoumanian et al. 2018), J0348+0432 (2.01 ± 0.04 M\(_\odot\); Antoniadis et al. 2013), J0740+6620 (2.14 ± 0.1 M\(_\odot\); Cromartie et al. 2019), and J2215+5135 (2.27 ± 0.17 M\(_\odot\); Linares et al. 2018) show that \(M_{\text{max}}\) should be of at least 2 M\(_\odot\). Multi-messenger observations of the binary NS merger GW170817 (Abbott et al. 2017) have been interpreted as an indication of an upper bound on \(M_{\text{max}}\) of about 2.3 M\(_\odot\) (Margalit & Metzger 2017; Rezzolla et al. 2018; Shibata et al. 2019; Ruiz et al. 2018; Shibata et al. 2017). However, this interpretation rests on the poor understanding of the long-term postmerger evolution of NS binaries (Radice et al. 2018a, 2020) and is not universally accepted (Ai et al. 2018; Li et al. 2018; Piro et al. 2019). The tidal deformability data from GW170817 also suggests that \(M_{\text{max}}\) should be of about 2.3 M\(_\odot\) (Lim & Holt 2018; Abbott et al. 2018; Essick et al. 2020), but these results are very sensitive to their prior and model choices (Greif et al. 2019; Lim et al. 2020). This is not surprising, since GW170817 does not probe directly the EOS at the densities relevant for NSs close to the maximum mass. Finally, the statistical analysis of the mass distribution of known NSs since GW170817 does not probe directly the EOS at the densities relevant for NSs close to the maximum mass. This is not surprising, since GW170817 does not probe directly the EOS at the densities relevant for NSs close to the maximum mass. Finally, the statistical analysis of the mass distribution of known NSs (Alsing et al. 2018; Farr & Chatziioannou 2020) also provides a plausible range for \(M_{\text{max}}\), but this analysis suffers from large uncertainties due to the small number of known NSs with high mass and due to possible selection effects. Summarizing, \(M_{\text{max}}\) is currently only weakly constrained.

The announcement of GW190814 triggered a renewed interest in the possibility of very massive NSs and the possible implications of the their existence. Most et al. (2020), Zhang & Li (2020), and Dexheimer et al. (2020) argued that the presence of a NS in GW190814 is compatible with a relatively small \(M_{\text{max}}\) under the assumption that the NS was rapidly spinning. However, such scenario requires significantly faster rotation than that of any observed millisecond pulsar. Indeed, in order to significantly exceed the maximum mass, a rotating NS must be endowed with a few times \(10^{52}\) erg in rotational kinetic energy (Margalit & Metzger 2017)\(^1\). More exotic interpretations include anisotropic NSs (Roupas 2020) and primordial BHs (Vattis et al. 2020). Tsokaros et al. (2020) and Fattoyev et al. (2020) showed that current EOS models can accommodate present astrophysical constraints on the NS radii and, at the same time, explain a 2.6 M\(_\odot\) NS, although the resulting EOS is in tension with constraints from heavy-ion collision experiments (Danielewicz et al. 2002). Finally, the possible implications of the existence of a 2.6 M\(_\odot\) NS for the EOS of dense matter have been explored by Tews et al. (2020) and Lim et al. (2020).

Despite the intense theoretical efforts, the nature of the secondary in GW190814 remains unknown. Here, we derive strict upper bounds on \(M_{\text{max}}\) under the sole assumptions of causality and general relativity. With these assumptions, only bulk properties of NSs factor into the upper bound, and thus the upper bound is independent of nuclear physics uncertainties. We show that current astrophysical constraints on the NS EOS are not in tension with a NS in GW190814, but that future measurements of radii and tidal deformabilities could translate into more stringent upper bounds on \(M_{\text{max}}\) and exclude that GW190814 was a NS-BH, unless extreme rotation is invoked for the secondary object.

2. METHODS

The constraints of causality and general relativity define a space of all possible EOSs, referred to as the EOS band. To probe this space in a computationally efficient manner, we utilize a Markov chain Monte Carlo (MCMC) algorithm. We parameterize the EOSs within the band using a variation on the method developed by Read et al. (2009) that approximates each EOS as a continuous piecewise polytrope with four pieces:

\[
p(\rho) = \begin{cases} 
K_0 \rho^{\Gamma_0} & \rho \leq \rho_0 \\
K_1 \rho^{\Gamma_1} & \rho_0 < \rho \leq \rho_1 \\
K_2 \rho^{\Gamma_2} & \rho_1 < \rho \leq \rho_2 \\
K_3 \rho^{\Gamma_3} & \rho > \rho_2
\end{cases}
\]

The choice of a piecewise polytropic ansatz does not significantly bias the results compared to other EOS representation schemes (Annala et al. 2020, 2018). The first polytrope piece corresponds to the (presumed known) crust EOS, with \(K_0 = 3.59389 \times 10^{13}\ [\text{ergs}]\) and \(\Gamma_0 = 1.35692\) (Douchin & Haensel 2001), and is fixed for all EOSs. The choice of the crust EOS does not influence the bulk properties of massive NSs (Rhoades & Ruffini 1974; Most et al. 2018). The last three pieces are specified by six parameters: three transition densities, \(\rho_0 \in [0.15 \rho_{\text{nuc}}, 1.2 \rho_{\text{nuc}}]\), \(\rho_1 \in [1.5 \rho_{\text{nuc}}, 8 \rho_{\text{nuc}}]\), \(\rho_2 \in [\rho_1, 8.5 \rho_{\text{nuc}}]\); and three adiabatic indices, \(\Gamma_1 \in [1.4, 5]\), \(\Gamma_2 \in [0, 8]\), \(\Gamma_3 \in [0.5, 8]\). Nuclear saturation density is taken to be \(\rho_{\text{nuc}} = 2.7 \times 10^{14}\ [\text{g cm}^{-3}]\). The polytropic constants \(K_1\), \(K_2\), and \(K_3\) are fixed by requiring the continuity of the EOS. The wide bounds on the possible values for the \(\Gamma_i\) allow for a diverse variety of EOSs with a wide range of softnesses and includes EOSs with and without first-order phase transitions. The MCMC algorithm will be discussed in detail in a future publication (Godzieba et al., in prep). The basic aspects of the algorithm are as follows. For each trial EOS we compute sequences of solutions of the Tolman-Oppenheimer-Volkoff (TOV) equations using the publicly available TOVL code that

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\(^1\) See, however, Safarzadeh & Loeb (2020) for a proposed mechanism for the formation of fast spinning compact objects in binaries.
is described in Bernuzzi & Nagar (2008) and Damour & Nagar (2009). The transition probability is determined by whether the physical properties of the EOS are within three weak physical constraints: 1) causality of the maximum mass NS (sound speed $c_s < c$); 2) $M_{\text{max}} > 1.97 M_{\odot}$; 3) tidal deformability of the $1.4 M_{\odot}$ NS $\Lambda_{1.4} < 800$. We have verified that our results do not change if the upper limit on $\Lambda_{1.4}$ is set to 4,000. Here, we report the results from the analysis performed with $\Lambda_{1.4} < 800$, since this allows for a more dense coverage of the relevant portion of the parameter space.

3. RESULTS

We assemble a data set of 1,966,225 phenomenological EOSs. As already mentioned, the maximum value of $M_{\text{max}}$ in our data set is $2.9 M_{\odot}$. Much larger masses are found if $\Lambda_{1.4}$ is allowed to be larger than 800, however these EOSs are strongly disfavored in light of GW170817 (Abbott et al. 2019a,b). In any case, our conclusions below would not be altered if we included these more stiff EOSs. Our analysis reveals that the set of all EOSs satisfying certain conditions on the NS radii admits stricter upper bounds on $M_{\text{max}}$. To be concrete, we consider cases in which the radii of reference NSs with masses $1.4 M_{\odot}$ and $2.14 M_{\odot} - R_{1.4}$ and $R_{2.14}$ – are fixed, and we show that more stringent upper bounds on $M_{\text{max}}$ can be derived in these cases.

We consider at first the impact of restricting the range of $R_{1.4}$. The radius of a NS with mass close to $1.4 M_{\odot}$, PSR J0030+0451, has been directly measured by NICER (Riley et al. 2019; Miller et al. 2019a). An indirect constraint on $R_{1.4}$ has also been obtained using multimessenger data from GW170817 (Annala et al. 2018; Most et al. 2018; De et al. 2018; Abbott et al. 2018; Radice & Dai 2019; Capano et al. 2020; Essick et al. 2020). More precise constraints are expected as systematics in NICER data are better understood, and when GW observatories will come back online with increased sensitivity. Finally, $R_{1.4}$ is known to correlate strongly with the EOS at around twice nuclear saturation density (Lattimer 2012). This makes $R_{1.4}$ a particularly interesting case.

Fig. 1 shows the joint span of $M_{\text{max}}$ and $R_{1.4}$ across our data set. We also color each data point according to the maximum value of the sound speed reached in the maximum mass NS predicted by that EOS. As expected in the light of the results of Rhoades & Ruffini (1974), we find that the largest $M_{\text{max}}$ values are reached at the boundary of causality, that is when $c_s = c$ at the highest densities. We also find that the range of $M_{\text{max}}$ decreases substantially as $R_{1.4}$ decreases. For example, an upper limit on $R_{1.4}$ of 11 km would imply $M_{\text{max}} \lesssim 2.35 M_{\odot}$. NICER observations of PSR J0030+0451 currently only provide a weak upper bound of $R_{1.4} \lesssim 14$ km (Miller et al. 2019a). This measurement is currently not constraining for $M_{\text{max}}$. GW and electromagnetic (EM) observations of the NS merger in GW170817 place a more stringent constraint $R_{1.4} \lesssim 13$ km (De et al. 2018; Abbott et al. 2018; Radice & Dai 2019). However, even this value is still compatible with maximum NS masses of up to $\sim 2.9 M_{\odot}$. This is consistent with the findings of Tews & Schwenk (2020) and Fattoyev et al. (2020), who constructed EOS models compatible with GW170817 and reaching maximum masses of $\sim 2.6-2.9 M_{\odot}$. 

![Figure 1](image1.png)

**Figure 1.** Distribution of $M_{\text{max}}$ and radius of the $1.4 M_{\odot}$ NS, $R_{1.4}$ for about 2 million phenomenological EOSs. Each point is colored according to the value of the sound speed reached in the maximum mass NS (points with smaller $c_s^2$ are drawn on top). The red dashed line shows an approximate linear ansatz for the boundary of all physical EOSs in the $M_{\text{max}} - R_{1.4}$ plane (see main text for the details).

![Figure 2](image2.png)

**Figure 2.** Distribution of $M_{\text{max}}$ and radius of the $2.14 M_{\odot}$ NS, $R_{2.14}$ for about 2 million phenomenological EOSs. Each point is colored according to the tidal deformability of the $1.4 M_{\odot}$ NS, $\Lambda_{1.4}$ (points with smaller $\Lambda_{1.4}$ are drawn on top). The red dashed line shows an approximate linear ansatz for the boundary of all physical EOSs in the $M_{\text{max}} - R_{2.14}$ plane (see main text for the details).
Among the next NICER targets are pulsars J1614-223 ($M \approx 1.908\ M_\odot$) and J0740+6620 ($M \approx 2.14\ M_\odot$). The measurement of their radii has the potential to yield very strong constraints on the EOS of dense matter (e.g., Han & Prakash 2020), but also to constrain $M_{\text{max}}$, as we show in Fig. 2. We find that an upper bound on $R_{2,14}$ of 12 km would be sufficient to confidently rule out a NS in GW190814, unless fast rotation is invoked. Similarly, if $\Lambda_{1,4}$ can be constrained to be less than 400 with future GW observations of merging NSs, then $M_{\text{max}}$ would be constrained to be less than $\sim 2.5 \ M_\odot$.

In general, we find that the upper bound on $M_{\text{max}}$ can be very well approximated as

$$M_{\text{max}} \leq \alpha(M) + \beta(M) R_M,$$

(2)

where $R_M$ is the radius in km of a NS of gravitational mass $M$ and

$$\alpha = 0.45 \ M_\odot - 1.22 M,$$

$$\beta = -0.051 \ M_\odot \text{ km}^{-1} + 0.34 \ M \text{ km}^{-1}.$$  

(3)

These coefficients are obtained by performing a linear fit to a set of data points at the upper edge of the distribution that fall within the range $0.95 < \max(c_s^2) < 1 \text{ for eight values of } M$. We then add a small shift of $0.04 M_\odot$ to $\alpha$, which is sufficient to enclose the vast majority of data points. The quality of these approximate expressions can be appreciated from Figs. 1 and 2.

If the secondary in GW190814 is a NS, then the lower bound on the maximum mass is $M_{\text{max}} > 2.5 \ M_\odot$. Under this assumption, the measurement of the radius of the $1.4 \ M_\odot$ NS would strongly constrain the EOS up to densities of $\sim 3\rho_{\text{nuc}}$ ($\log \rho \approx 14.9$), as shown in Fig. 3. We find that an EOS supporting $M_{\text{max}} > 2.5 \ M_\odot$ would violate the causal limit if $R_{1,4} < 11.38 \text{ km}$, which can be roughly seen in Fig. 1. We also find that all EOSs supporting $M_{\text{max}} > 2.5 \ M_\odot$ with radii in the range we considered for $R_{1,4}$ must violate the conformal limit of $(c_s^2/c)^2 < 1/3 \text{ at } \sim \rho_{\text{nuc}}$ (see Fig. 4). The behavior of the sound speed at higher densities depends on $R_{1,4}$. Among these constrained EOSs, those that accommodate small radii (between 11.38 km and 11.75 km) must have $\max(c_s^2) \geq 0.86$. So, while there are extreme EOS very close to the causal limit that lie in the small radius range, there are still EOS in this range that do not approach the causal limit. Thus, we cannot constrain out non-extreme EOS with $M_{\text{max}} > 2.5 \ M_\odot$ and $R_{1,4} < 11.75 \text{ km}$. (If we look at EOSs that support $M_{\text{max}} > 2.6 \ M_\odot$, we find that the causal limit is violated if $R_{1,4} \leq 11.8 \text{ km}$, which excludes the previous small radius range.) These measurements would still leave the extreme density part of the EOS ($\rho > 10^{15} \text{ g cm}^{-3}$) relatively unconstrained. This would likely change if we were to enforce a matching to perturbative QCD at high densities (Annala et al. 2020). We leave this analysis to future work.

![Figure 3](image_url). All EOSs with $M_{\text{max}} > 2.5 \ M_\odot$ and $11.25 \text{ km} < R_{1,4} < 12.75 \text{ km}$ plotted as the pressure, $\rho$ (dyne/cm$^2$), as a function of density, $\rho$ (g/cm$^3$). EOSs with smaller radii are drawn on top, since they cover a smaller region. The grey shaded region beneath the colored layers represents the full data set of 1,966,225 EOSs.

![Figure 4](image_url). Sound speed squared for the EOSs with $M_{\text{max}} > 2.5 \ M_\odot$ and $11.25 \text{ km} < R_{1,4} < 12.75 \text{ km}$ as a function of density, $\rho$ (normalized to $\rho_{\text{nuc}}$). EOSs with smaller radii are drawn on top, since they cover a smaller region. We remark that the sound speed is not assumed to be smooth in our EOSs.

4. CONCLUSIONS

We revisited the problem of determining the maximum mass for nonrotating NSs $M_{\text{max}}$ using minimal assumptions and a nuclear-physics agnostic approach. Differently from other works, our analysis does not attempt to provide a likely value $M_{\text{max}}$ and is not affected by prior or model choices. Instead, we provide strict upper limits based on the sole assumptions of causality and general relativity. Our results confirm that current astrophysical measurements of radii and tidal deformability of NSs with canonical mass $\sim 1.4 \ M_\odot$ do not significantly constrain $M_{\text{max}}$. In particular, we find that
the presence of a nonrotating or moderately spinning NSs in GW190814 cannot be excluded. However, future observations constraining the radii of massive NSs have the potential to yield stringent upper bounds on the NS maximum mass and might rule out a nonrotating NSs in GW190814. Our analysis also show that, if the secondary in GW190814 was and might rule out a nonrotating NSs in GW190814. Our analysis did not consider the possibility of strange quark stars, but our EOS parametrization does allow for hybrid stars with hadronic crusts and a first order QCD phase transition in their interior (e.g., Annala et al. 2020). We leave the determination of upper bounds on the maximum mass for self-bound quark stars to a future work. Future work should also consider the implication of X-ray burst (Steiner et al. 2010; Lattimer 2012; Özel & Freire 2016) and laboratory constraints (Danielewicz et al. 2002) on the high density EOS on the upper bound of $M_{\text{max}}$.

**SOFTWARE USED**

TOVL (Bernuzzi & Nagar 2008), Matlab®.

**DATA AVAILABILITY**

EOS parameters and bulk properties of reference NSs generated for this work are publicly available on Zenodo (Godzieba et al. 2020).

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