Looking for a hidden-charm pentaquark state with strangeness $S = -1$ from $\Xi_b^-$ decay into $J/\psi K^-$

Hua-Xing Chen  
School of Physics and Nuclear Energy Engineering and International Research Center for Nuclei and Particles in the Cosmos, Beihang University, Beijing 100191, China

Li-Sheng Geng  
School of Physics and Nuclear Energy Engineering and International Research Center for Nuclei and Particles in the Cosmos, Beihang University, Beijing 100191, China and State Key Laboratory of Theoretical Physics, Institute of Theoretical Physics, Chinese Academy of Sciences, Beijing 100190, China

Wei-Hong Liang  
Department of Physics, Guangxi Normal University, Guilin 541004, China

Eulogio Oset  
Institute of Modern Physics, Chinese Academy of Sciences, Lanzhou 730000, China and Departamento de Física Teórica and IFIC, Centro Mixto Universidad de Valencia-CSIC Institutos de Investigación de Paterna, Aptdo. 22085, 46071 Valencia, Spain

En Wang  
Department of Physics, Zhengzhou University, Zhengzhou, Henan 450001, China

Ju-Jun Xie  
Institute of Modern Physics, Chinese Academy of Sciences, Lanzhou 730000, China and Research Center for Hadron and CSR Physics, Institute of Modern Physics of CAS and Lanzhou University, Lanzhou 730000, China and State Key Laboratory of Theoretical Physics, Institute of Theoretical Physics, Chinese Academy of Sciences, Beijing 100190, China  
(Dated: October 13, 2015)

Assuming that the recently observed hidden-charm pentaquark state, $P_c(4450)$, is of molecular nature as predicted in the unitary approach, we propose to study the decay of $\Xi_b^- \rightarrow J/\psi K^- \Lambda$ to search for the strangeness counterpart of the $P_c(4450)$. There are three ingredients in the decay mechanism: the weak decay mechanism, the hadronization mechanism, and the finite state interactions in the meson-baryon system of strangeness $S = -2$ and isospin $I = 1/2$ and of the $J/\psi \Lambda$. All these have been tested extensively. As a result, we provide a genuine prediction of the differential cross section where a strangeness hidden-charm pentaquark state, the counterpart of the $P_c(4450)$, can be clearly seen. The decay rate is estimated to be of similar magnitude as the $\Lambda_b^0 \rightarrow J/\psi K^- p$ observed by the LHCb collaboration.

I. INTRODUCTION

Recently, the LHCb collaboration has reported on the observation of two hidden-charm pentaquark states in $\Lambda_b^0 \rightarrow J/\psi K^- p$ decays, the $P_c(4380)$ with a mass of $4380 \pm 8 \pm 29$ MeV and a width of $205 \pm 18 \pm 86$ MeV and the $P_c(4450)$ with a mass of $4449.8 \pm 1.7 \pm 2.5$ MeV and a width of $39 \pm 5 \pm 19$ MeV [1]. The preferred $J^P$ assignments are of opposite parity. The best fit yields spin-parity $J^P$ values of $(3/2^-, 5/2^+)$, but other possibilities, either $(3/2^-, 5/2^-)$ or $(5/2^+, 3/2^-)$, are also acceptable. The decay branching ratios $\Lambda_b^0 \rightarrow P_c^+ K^-$ and $P_c^+ \rightarrow J/\psi p$ have been measured as well [2]. In the past decade, many mesonic exotic states have been observed experimentally and many of them clearly contain more than the minimum quark content dictated by the naive quark model, such as the charged $Z_c(4430)$ [3–5] and $Z_c(3900)$ [6–9] states. The $P_c$ states are the first exotic states observed in the heavy-flavor baryonic sector.

The observation of the $P_c$ states has aroused a lot of interest in the theoretical community. They have been studied in various frameworks, such as the molecular picture [10–13], the diquark picture [14–18], the QCD sum rules [19, 20], and the soliton model [21]. On the other hand, questions have been raised regarding whether the observed enhancement could be due to kinematical effects or singularities [22–24]. In a recent publication, it was suggested that the existence of exotic $cs\bar{c}\bar{u}$ states can imitate broad bumps in the $J/\psi p$ invariant mass distributions and thus affects the interpretation of the $P_c(4380)$ [25]. Further discussions on the nature of the
two $P_c$ states can be found in Refs. [26, 27].

One should note that even before the LHCb announcement, the existence of hidden-charm pentaquark states have been explored both in the molecular picture [28, 32] and in the quark models [33, 34]. The discovery potential of such states has been explored in $\gamma$ [36] and $\pi$ [37] induced reactions.

It is clear that at this moment, both the experimental and theoretical studies are not yet conclusive. Experimentally, the ambiguities in the spin-parity assignments should be clarified. Theoretically, different interpretations are often not consistent with each other, not only in terms of the dominant Fock components of these states but also in terms of the predicted or obtained spin-parities. The only way to clarify the situation, given the rather large statistics already achieved by LHCb, is to study complementary reactions or decay modes where the $P_c$ states or their counterparts (predicted by various models) can be observed.

In Refs. [38–40], photoproduction of the $P_c$ states off a proton target have been studied. In Ref. [41], assuming the $P_c$ states are genuine pentaquark states belonging to either an octet or a decuplet representation, the decays of $\Lambda^0_b$, $\Xi^0_b$, and $\Xi^-_b$ into a pentaquark state and a pseudoscalar meson have been studied. The decays of $b$-baryons into a pentaquark state and a pseudoscalar meson have also been examined in the diquark model [42]. Experimental studies of either the photoproductions or the decay modes of $b$-baryons into all available final states will definitely help us better understand the nature of the pentaquark states.

One should note that most theoretical approaches predicted the existence of the $P_c$ counterparts. In particular, in the unitary approach of Ref. [23] that in addition to an isospin 1/2 and strangeness zero state, two more states are predicted in the isospin zero and strangeness –1 sector. If the $P_c(4450)$ state corresponds to the non strange state(s) as shown in Ref. [11], there is good reason to believe that its strange counterparts exist as well. The hidden-charm pentaquark states with strangeness can decay into $J/\psi \Lambda$. Therefore, in the present work, we propose to study the decay of the $\Xi^-_b$ state into $J/\psi K^-\Lambda$. The mechanism of this reaction resembles that of the $\Lambda^0_b \rightarrow J/\psi \Lambda K^-$. Following the formalism first proposed in Ref. [35] and also used to study the $\Lambda^0_b \rightarrow J/\psi K^- p$ decay [11, 44], we can separate the decay of the $\Xi^-_b$ into two steps, weak decay and hadronization, and final state interactions.

## II. FORMALISM

### A. Weak decay and hadronization

At the quark level, the decay of $\Xi^-_b \rightarrow J/\psi K^- p$ is depicted in Fig. 1. The quark content of $\Xi^-_b$ is $bds$, and the $d$ and $s$ quarks are in a state of spin zero. To have the color degree antisymmetric, the flavor part of the wave function should be antisymmetric with respect to $d$ and $s$. As a result, the $\Xi^-_b$ wave function can be written as

$$\Xi^-_b = |b|ds \Rightarrow \frac{1}{\sqrt{2}}(b)(|d|s) - |s|d) = \frac{1}{\sqrt{2}}(d|s) - sd). \quad (1)$$

In the second equality, we have adopted a simplified notation for the wave functions. In Fig. 1, the $b$ quark first decays into a $c$ quark by emitting a $W^-$ meson, then the $W^-$ translates into a pair of $\bar{c}$ and $s$ quarks, which is Cabibbo favored. The pair of $\bar{c}c$ hadronizes into the $J/\psi$, while the $s$ quark picks up an anti-quark from the vacuum to form a $\bar{K}$ meson or an $\eta$ meson, the spectator pair $ds$ then hadronizes into a baryon with the remaining quark from the vacuum. In the following, we have to find out how the quark combinations $Q = s(\bar{u}u + d\bar{d} + s\bar{s})$ $(ds - sd)$ hadronizes into a pair of ground state meson and baryon.

The hadronization into a meson baryon pair can be achieved by replacing the $M = q\bar{q}$ matrix in SU(3) flavor space with its counterpart $\phi$ using hadronic degrees of freedom, namely

$$M = \begin{pmatrix} u\bar{u} u\bar{d} u\bar{s} \\ d\bar{u} d\bar{d} d\bar{s} \\ s\bar{u} s\bar{d} s\bar{s} \end{pmatrix} \phi = \begin{pmatrix} \frac{\sqrt{2}}{\sqrt{3}} + \frac{\eta}{\sqrt{3}} & \frac{\sqrt{2}}{\sqrt{3}} - \frac{\eta}{\sqrt{3}} & \frac{1}{\sqrt{3}} \\ \frac{\sqrt{2}}{\sqrt{3}} - \frac{\eta}{\sqrt{3}} & -\frac{\sqrt{2}}{\sqrt{3}} + \frac{\eta}{\sqrt{3}} & \frac{1}{\sqrt{3}} \\ \frac{1}{\sqrt{3}} & \frac{1}{\sqrt{3}} & \frac{1}{\sqrt{3}} \end{pmatrix}, \quad (2)$$

where we have used standard $\eta/\eta'$ mixing [43] and have neglected the $\eta'$ because of its heavy mass. With such a replacement, we obtain

$$Q = \sum_{i=1}^{3} M_{3i} q_i \frac{1}{\sqrt{2}}(ds - sd) = \sum_{i=1}^{3} \phi_{3i} q_i \frac{1}{\sqrt{2}}(ds - sd)$$

$$= \bar{K} \frac{1}{\sqrt{2}}(u(ds - sd)) + \bar{K} \frac{1}{\sqrt{2}}(d(ds - sd))$$

$$- \frac{\eta}{\sqrt{3}} \frac{1}{\sqrt{2}}(s(ds - sd)). \quad (3)$$

The combinations of three quarks can be written in terms of the ground-state baryon wave functions with a bit of algebra [16]

$$Q = \sqrt{\frac{3}{2}} K \Sigma|_{t=1/2} - \sqrt{\frac{1}{6}} K \Lambda - \sqrt{\frac{1}{3}} \eta \Xi. \quad (4)$$
where we have introduced the isospin 1/2 combination
\[ K\Sigma|_{I=1/2} = \sqrt{\frac{2}{3}} (\frac{1}{\sqrt{2}} K^\Sigma + \bar{K}^0\Sigma^-), \]
\( K\Lambda = K^-\Lambda, \) and \( \eta\Xi = \eta\Xi^- \). The process described above corresponds to the tree-level Feynman diagram of Fig. 2(a).

Other hadronization processes, for instance, that of the \( d \) or \( s \) quark of the \( \Xi^-_b \) hardonizing into a meson is penalized compared to the one described above, because of the involvement of large momentum transfer [47].

**B. Final state interactions**

In addition to the tree level diagram [Fig. 2(a)], we need to take into account the final state interactions of these meson-baryon pairs, which are known to be very strong and are depicted in Fig. 2(b) and (c). The amplitude \( \mathcal{M}(M_{J/\psi\Lambda}, M_{K\Lambda}) \) for the transition can be written as,

\[
\mathcal{M}(M_{J/\psi\Lambda}, M_{K\Lambda}) = V_p \left[ h_{K\Lambda} + \sum_i h_i G_i(M_{K\Lambda}) t_{i,K\Lambda}(M_{K\Lambda}) \right] + h_{K\Lambda} G_{J/\psi\Lambda}(M_{J/\psi\Lambda}) t_{J/\psi\Lambda,J/\psi\Lambda}(M_{J/\psi\Lambda}),
\]

where \( V_p \) expresses the hadronization strength, and \( G_i \) (the channel indices \( i = K\Lambda, K\Sigma, \eta\Xi \)) denotes the one-meson-one-baryon loop function, chosen in accordance with the unitary model for the scattering matrix \( t_{ij} \) that will be described in the following subsection. \( M_{K\Lambda} \) and \( M_{J/\psi\Lambda} \) are the invariant masses of the final states \( K^-\Lambda \) and \( J/\psi\Lambda \), respectively, and \( h_i \) stands for the weights of the transition, which are given by Eq. (4).

\[
h_{K\Lambda} = \sqrt{\frac{1}{6}}, \quad h_{K\Sigma} = \sqrt{\frac{3}{2}}, \quad h_{\eta\Xi} = -\sqrt{\frac{1}{3}}.
\]

Final state interactions between a ground state octet baryon and a pseudoscalar meson in the strangeness \(-2\) and isospin 1/2 channel has been studied in detail in the unitary model of Ref. [48]. In this work, a pole is found on the complex plane and identified as the experimentally observed \( \Xi(1620) \). A subsequent work along the same lines showed that in addition to the \( \Xi(1620) \) state also the \( \Xi(1690) \) was generated [49]. In the present work, we choose this approach to describe the interactions among the coupled channels \( K\Lambda, K\Sigma, \) and \( \eta\Xi \).

**C. Chiral unitary model for the meson baryon interaction in \( S = -2 \)**

In the unitary approach of Ref. [48], the transition amplitudes are written as

\[
t = [1 - VG]^{-1} V_i,
\]

where the matrix \( V \) is obtained from the lowest order meson baryon chiral Lagrangian,

\[
V_{ij}(I = 1/2) = -C_{ij} \left( \frac{1}{4f_\pi^2} \right) \left( M_i - M_j \right) \times \left( \frac{M_i + E_i}{2M_i} \right)^{1/2} \left( \frac{M_j + E_j}{2M_j} \right)^{1/2},
\]

where the magnitudes \( E_i \) and \( M_i \) are the energy and mass of the baryon in channel \( i \), and the coefficients \( C_{ij} \) are shown in Table I. The optimal choice for the decay constant \( f = 1.123f_\pi \) is used, and \( f_\pi = 93 \text{ MeV} \) [48].

The (diagonal) matrix \( G \) in Eq. (5) and Eq. (7) accounts for the loop integral of a meson and a baryon propagator and depends on the regularization scale, \( \mu \), and a subtraction constant for each channel, \( a_i \), that
TABLE I. Coefficients $C_{ij}$ of the meson baryon amplitudes for isospin $I = 1/2$ ($C_{ji} = C_{ij}$) [58].

|        | $\pi\Xi$ | $K\Lambda$ | $K\Sigma$ | $\eta\Xi$ |
|--------|----------|------------|-----------|---------|
| $\pi\Xi$ | 2        | -3/2       | -1/2      | 0       |
| $K\Lambda$ | 0        | 0          | -3/2      | 0       |
| $K\Sigma$ | 2        | 3/2        | 0         |         |
| $\eta\Xi$ | 0        | 0          | 0         | 0       |

comes from a subtracted dispersion relation. The analytical expression of $G$ is given as follows [50],

$$G_I = i2M_I \int \frac{d^4q}{(2\pi)^4} \frac{1}{(P - q)^2 - M_I^2 + i\epsilon} q^2 - m_I^2 + i\epsilon$$

$$= \frac{2M_I}{16\pi^2} \left\{ a_I(\mu) + \ln \frac{M_I^2}{\mu^2} + \frac{m_I^2 - M_I^2 + s}{2s} \ln \frac{m_I^2}{M_I^2} + \frac{q_I^2}{\sqrt{s}} \left[ \ln(s - (M_I^2 - m_I^2) + 2q_I\sqrt{s}) + \ln(s + (M_I^2 - m_I^2) + 2q_I\sqrt{s}) - \ln(-s + (M_I^2 - m_I^2) + 2q_I\sqrt{s}) - \ln(-s - (M_I^2 - m_I^2) + 2q_I\sqrt{s}) \right] \right\} \right\} \right\}$$

where $M_I$ and $m_I$ are the masses of baryon and meson in the $I$-th channel, and the regularization scale $\mu = 630$ MeV [57] and the subtraction constant $a_I = -2.4$ [4] are used for $\pi\Xi$, $K\Lambda$, $K\Sigma$, and $\eta\Xi$ channels. For the $J/\psi\Lambda$ channel, we take $\mu = 1000$ MeV and $a_I = -2.3$ [24].

Assuming the existence of the strangeness counterpart of the $P_c(4450)$ as shown in Refs. [28, 29] and following the approach proposed in Ref. [11] to describe the LHCb data, we can parameterize the transition matrix element for $J/\psi\Lambda$ in Eq. (8) as

$$t_{J/\psi\Lambda,J/\psi\Lambda} = \frac{g_{J/\psi\Lambda}^2}{M_{J/\psi\Lambda} - M_R + i\Gamma_R}.$$  (10)

In Refs. [28, 29], two states are found in the strangeness $-1$ and isospin 0 channel with the following pole positions $\sqrt{s} = 4368 - 2.8i$ and $\sqrt{s} = 4547 - 6.4i$. These numbers are obtained without any fine tuning. If we now assume that one of these states corresponds to the strange counterpart of the $P_c(4450)$ and use the experimental measurement of its mass as a reference, we can imagine that the counterpart of the $P_c(4450)$, $P_{cs}$, should appear at $M_{P_c(4450)} + \Delta M$, where $\Delta M$ can be estimated using either the $\Delta N$ or $\Sigma N$ mass difference, which are 175 and 257 MeV, respectively. As an rough estimate, one can take $\Delta M = 200$ MeV and obtain $M_R = 4650$ MeV. As for $\Gamma_R$, it should be of order 10 MeV [28, 29], and therefore we take $\Gamma_R = 10$ MeV. For the coupling $g_{J/\psi\Lambda}$, we use a value of 0.5 $\sim$ 0.6, as given in Ref. [21].

Finally, the invariant mass distribution of the process $\Xi_{b^-} \to J/\psi\Lambda K^-$ reads

$$\frac{d\Gamma}{dM_{J/\psi\Lambda} dM_{K^-}} = \frac{1}{(2\pi)^3} \frac{4M_{b\Xi_{b}} M_{\Lambda}}{32 M_{c\Xi_{b}}^3} |M(M_{J/\psi\Lambda}, M_{K^-})|^2,$$  (11)

where $M_{J/\psi\Lambda}$ and $M_{K^-}$ are the invariant masses of $J/\psi\Lambda$ and $K^-$. For a given value of $M_{J/\psi\Lambda}$, the range of $M_{K^-}$

---

2 We have checked that Set 5 ($a_{\pi\Xi} = -3.1$, $a_{K\Lambda} = -1$, $a_{K\Sigma} = -2$ and $a_{\eta\Xi} = -2$) in Table 2 of Ref. [58] gives similar results as our choice.
is defined as,

\[ (M_{\bar{K}\Lambda}^2)_{\text{max}} = \left( E_{\bar{K}}^* - E_{\Lambda}^* \right)^2 - \left( \sqrt{E_{\bar{K}}^2 - M_{\Lambda}^2} - \sqrt{E_{\Lambda}^2 - M_{\bar{K}}^2} \right)^2, \]

\[ (M_{\bar{K}\Lambda}^2)_{\text{min}} = \left( E_{\bar{K}}^* + E_{\Lambda}^* \right)^2 - \left( \sqrt{E_{\bar{K}}^2 - M_{\Lambda}^2} + \sqrt{E_{\Lambda}^2 - M_{\bar{K}}^2} \right)^2, \]

(12)

where \( E_{\bar{K}}^* = (M_{J/\psi\bar{K}}^2 - m_{J/\psi}^2 + M_{\bar{K}}^2)/2M_{J/\psi\bar{K}} \) and \( E_{\Lambda}^* = (M_{J/\psi\bar{K}}^2 - m_{J/\psi}^2 + M_{\Lambda}^2)/2M_{J/\psi\bar{K}} \) are the energies of \( \Lambda \) and \( \bar{K} \) in the \( J/\psi\Lambda \) rest frame. Similar formulas are obtained for the range of \( M_{J/\psi\bar{K}}^2 \) when we fix \( M_{\bar{K}\Lambda} \).

III. RESULTS AND DISCUSSION

In this section, we present our results for the process \( \Xi^{-}_{b} \rightarrow J/\psi K^- \Lambda \). First, we show the absolute value of the transition amplitudes \(|t|\) for the \( \pi \Xi, \bar{K} \Lambda, \bar{K} \Sigma \), and \( \eta \Xi \) in \( I = 1/2 \) and \( S = -2 \) in Fig. 3(a). We also show the corresponding results with \( a_{\pi \Xi} = -3.1 \) and \( a_{\bar{K} \Lambda} = -1 \) in Fig. 3(b). The results for both choices look very similar. The \( \Xi(1620) \) can be clearly seen in the \( \pi \Xi \) invariant mass distributions, and \( \bar{K} \Lambda \) distributions in Fig. 3(b), but not so prominently in Fig. 3(a). As a result, we anticipate that an experimental study of the \( \Xi^{-}_{b} \rightarrow J/\psi K^- \Lambda \) can yield valuable information on the poorly known \( \Xi(1620) \) as well.

Next, we predict the \( J/\psi \Lambda \) invariant mass distribution for the \( \Xi^{-}_{b} \rightarrow J/\psi \Lambda \bar{K} \) decay in Fig. 4 up to an arbitrary normalization \( (V_p = 1) \). The red solid line shows the result without the \( J/\psi \Lambda \) interaction only the term \( h_{\bar{K}\Lambda} + T_{\bar{K}\Lambda} \) of Eq. (3), and the blue dashed-dotted line stands for the result of our full model. We observe a prominent structure around 4650 MeV on top of the background when the \( J/\psi \Lambda \) interaction is taken into account. A variation of \( M_R \) shifts the peak position accordingly, but a clear signal can still be observed. Furthermore, as long as the width is smaller than 100 MeV, experimental observation should not be too difficult. We stress however that the strength of the signal will depend strongly on the coupling of the hidden charm state to the \( J/\psi \Lambda \), i.e., \( g_{J/\psi \Lambda} \). A much smaller value of the coupling will diminish the signal as naively expected. Therefore, indeed an experimental study of the decay mode we propose can help to verify or disprove the unitary approach for this particular case.

In Fig. 5, we show the invariant mass distribution of the \( \Xi^{-}_{b} \) decay as a function of the \( \bar{K} \Lambda \) invariant mass. It is seen that the \( J/\psi \Lambda \) final state interaction does not affect much the predicted shape. However, the two cusps reflecting the \( \bar{K} \Sigma \) and \( \eta \Xi \) thresholds can be easily recognized. The strong enhancement around \( M_{\bar{K}\Lambda} \approx 1.7 \) GeV can be identified with the \( \Xi(1690) \) as in Ref. [49]. Depending on the particular parameter set for the \( \bar{K}\Lambda \) interaction, the \( \Xi(1620) \) is also visible.

It is to be noted that the decay mechanism of the present process is the same as that of the \( \Lambda^0_p \rightarrow J/\psi K^- p \) [11]. In both decays, the involved CKM matrix element is the product of \( V_{cs} V_{cb} \). Therefore, as a crude estimate, we would like to guess that the decay rate of the \( \Xi^{-}_{b} \rightarrow J/\psi K^- \Lambda \) is of the same order of magnitude as that of \( \Lambda^0_p \rightarrow J/\psi K^- \Lambda \), neglecting the difference in phase space and final state interactions. This is somehow consistent with the study of Ref. [11], where it is found that \( \Gamma(\Xi^{-}_{b} \rightarrow P\Lambda K^-)/\Gamma(\Lambda^0_p \rightarrow P\Lambda K^-) = 0.408(0.343) \), where \( P_{p/\Lambda} \) denotes a pentaquark state having the same light quark composition as that of the proton or \( \Lambda \), while the first number is for spin 3/2 and that in the parenthesis for spin 5/2. Therefore, both studies show that the decay mode proposed in the present work should and can be studied at LHCb.

IV. SUMMARY

We have proposed to study the \( \Xi^{-}_{b} \rightarrow J/\psi K^- \Lambda \) decay to measure a hidden-charm pentaquark state with strangeness, predicted to exist in the unitary approach. This model has predicted the existence of two non-strange hidden-charm pentaquark states in the energy region where the \( P_c(4450) \) has been seen. The decay mechanism we employed has been previously adopted to successfully describe the LHCb \( \Lambda^0_p \rightarrow J/\psi K^- p \) invariant mass distributions. Our study showed that the strange hidden-charm pentaquark state can be clearly seen on top of the background. Given the fact that both the unitary model and the reaction mechanism have been tested in describing the LHCb \( \Lambda^0_p \) decay, we strongly encourage our experimental colleagues to study the \( \Xi^{-}_{b} \rightarrow J/\psi K^- \Lambda \) decay proposed here, which can be very helpful to test the existence of the pentaquark states and their nature.

V. ACKNOWLEDGEMENTS

One of us, E. O., wishes to acknowledge support from the Chinese Academy of Science (CAS) in the Program of Visiting Professorship for Senior International Scientists (Grant No. 2013T2J0012). L.S.G thanks the Institute for Nuclear Theory at University of Washington for its hospitality and the Department of Energy for partial support during the completion of this work. This work is partly supported by the National Natural Science Foundation of China under Grant Nos. 11475227, 13075227, 1375024, 11522539, 11505158, 11475015, and 11165005, the Open Project Program of State Key Laboratory of Theoretical Physics, Institute of Theoretical Physics, Chinese Academy of Sciences, China (No.Y5KF151CJ1), the Spanish Ministerio de Economía y Competitividad and European FEDER funds under the contract number FIS2011-28853-C02-01 and FIS2011-28853-C02-02, and...
FIG. 4. (Color online) $J/\psi\Lambda$ invariant mass distributions for $\Xi_b \to J/\psi\Lambda\bar{K}$ with $M_R = 4650$ MeV, $g_{J/\psi\Lambda} = 0.5$, and $\Gamma_R = 10$ MeV (a) and with two of the parameters fixed and the other varying as shown in the plot (b,c,d).

FIG. 5. (Color online) $\bar{K}\Lambda$ invariant mass distributions for $\Xi_b \to J/\psi\Lambda\bar{K}$.

[1] R. Aaij et al. [LHCb Collaboration], Phys. Rev. Lett. 115, 072001 (2015) [arXiv:1507.03414 [hep-ex]].
[2] R. Aaij et al. [LHCb Collaboration], arXiv:1509.00292 [hep-ex].
[3] S. K. Choi et al. [Belle Collaboration], Phys. Rev. Lett. 100, 142001 (2008) [arXiv:0708.1790 [hep-ex]].
[4] K. Chilikin et al. [Belle Collaboration], Phys. Rev. D 88, no. 7, 074026 (2013) [arXiv:1306.4894 [hep-ex]].

the Generalitat Valenciana in the program Prometeo II-2014/068. We acknowledge the support of the European Community-Research Infrastructure Integrating Activity Study of Strongly Interacting Matter (acronym Hadron-Physics3, Grant Agreement n. 283286) under the Seventh Framework Programme of EU.
[5] R. Aaij et al. [LHCb Collaboration], Phys. Rev. Lett. 112, no. 22, 222002 (2014) [arXiv:1404.1903 [hep-ex]].

[6] M. Ablikim et al. [BESIII Collaboration], Phys. Rev. Lett. 110, 252001 (2013) [arXiv:1303.5949 [hep-ex]].

[7] Z. Q. Liu et al. [Belle Collaboration], Phys. Rev. Lett. 110, 252002 (2013) [arXiv:1304.0121 [hep-ex]].

[8] T. Xiao, S. Dobbs, A. Tomaradze and K. K. Seth, Phys. Lett. B 727, 366 (2013) [arXiv:1304.3036 [hep-ex]].

[9] Z. Q. Liu et al. [Belle Collaboration], Phys. Rev. Lett. 110, 252002 (2013) [arXiv:1304.0121 [hep-ex]].

[10] T. Xiao, S. Dobbs, A. Tomaradze and K. K. Seth, Phys. Lett. B 727, 366 (2013) [arXiv:1304.3036 [hep-ex]].

[11] L. Roca, J. Nieves and E. Oset, arXiv:1507.04249 [hep-ph].

[12] J. He, arXiv:1507.05200 [hep-ph].

[13] U. G. Meiner and J. A. Oller, arXiv:1507.05867 [hep-ph].

[14] L. Maiani, A. D. Polosa and V. Riquer, Phys. Lett. B 749, 289 (2015) [arXiv:1507.04980 [hep-ph]].

[15] V. V. Anisovich, M. A. Matveev, J. Nyiri, A. V. Sarantsev and A. N. Semenova, arXiv:1507.07652 [hep-ph].

[16] R. Ghosh, A. Bhattacharya and B. Chakrabarti, arXiv:1508.00356 [hep-ph].

[17] V.V. Anisovich, M.A. Matveev, J. Nyiri, A.V. Sarantsev, and A.N. Semenova, arXiv:1507.04980 [hep-ph].

[18] H. X. Chen, W. Chen, X. Liu, T. G. Steele and S. L. Zhu, arXiv:1507.03717 [hep-ph].

[19] Z. G. Wang, arXiv:1508.01468 [hep-ph].

[20] N. N. Scoccola, D. O. Riska and M. Rho, arXiv:1508.01172 [hep-ph].

[21] F. K. Guo, U. G. Meiner, W. Wang and Z. Yang, arXiv:1507.04950 [hep-ph].

[22] X. H. Liu, Q. Wang and Q. Zhao, arXiv:1507.05359 [hep-ph].

[23] M. Mikhasenko, arXiv:1507.06552 [hep-ph].

[24] V. V. Anisovich, M. A. Matveev, A. V. Sarantsev and A. N. Semenova, arXiv:1509.03028 [hep-ph].

[25] T. J. Burns, arXiv:1509.02460 [hep-ph].

[26] J. J. Wu, R. Molina, E. Oset and B. S. Zou, Phys. Rev. Lett. 105, 232001 (2010) [arXiv:1007.0573 [nucl-th]].