Accurate in situ Measurement of Ellipticity Based on Sub-cycle Ionization Dynamics

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Elliptically polarized laser pulses (EPLPs) are widely applied in many fields of ultrafast sciences, but the ellipticity (ε) has never been in situ measured in the interaction zone of the laser focus. In this work, we propose and realize a robust scheme to retrieve the ε by temporally overlapping two identical counter-rotating EPLPs. The combined linearly electric field is coherently controlled to ionize Xe atoms by varying the phase delay between the two EPLPs. The electron spectra of the above-threshold ionization and the ion yield are sensitively modulated by the phase delay. We demonstrate that these modulations can be used to accurately determine ε of the EPLP. We show that the present method is highly reliable and is applicable in a wide range of laser parameters. The accurate retrieval of ε offers a better characterization of a laser pulse, promising a more delicate and quantitative control of the sub-cycle dynamics in many strong field processes.

It is well known that many of the strong-field phenomena are extremely sensitive to the electric waveform of the laser pulse, as their first step is the electronic tunneling whose rate exponentially depends on the instantaneous field strength |E|2. In order to coherently control the ultrafast dynamics, enormous efforts have been made to manipulate various kinds of laser parameters or to synthesize a desirable shaped-pulse using a two-color [2, 3] or a multiple-color [4] field. In doing so, one has to precisely characterize or measure the essential quantities of a laser pulse, including the ellipticity (ε) for an elliptically polarized light.

Due to its suppression of the electron recollision [5] in some extent, the importance of the ellipticity has been demonstrated in many different processes, such as the strong field single ionization [6, 8], the molecular chirality [9], the double ionization [10–13], the high harmonic generation (HHG) [14], and the ring current [15]. A pair of single-color counter-rotating circularly polarized pulses are used in the polarization gating method to generate a single attosecond pulse [16, 17], which, by adding a weak second harmonic field, has been developed to the double optical gating (DOG) [18] and later to the generalized DOG (GDOG) [19, 20] scheme. In addition, schemes of two-color counter-rotating field have found important applications in many topics such as the double ionization [21–23], the laser-induced electron diffraction [24, 25], the spin polarization [26, 27], and the generation of extreme ultraviolet lights [28, 29].

Apparently, the ellipticity ε of an elliptically polarized laser pulse (EPLP) is one of the most important quantities, which has played versatile roles in controlling the strong field dynamics and in their various applications. However, according to the best of our knowledge, the accurate value of ε in the interaction zone has never been measured in situ. It is well known that a perfect circularly polarization is unrealistic after focusing in the vacuum due to the imperfect optics performance for ultrashort laser pulses. In most laboratories, the ε is usually roughly estimated by monitoring the transmitted pulse energy after the polarizer, which severely loses its accuracy for a high ε value. Therefore, researchers usually assume that one has a circularly polarized pulse when the estimated ε > 0.9. However, it is critical to know the accurate value of ε in many experiments, e.g., the streaking angle related to the time delay strongly depends on ε in the attoclock-type measurements [30, 32].

In this Letter, we establish an in situ experimental method for measuring the accurate ellipticity of a laser pulse, which is based on the widely available setup for the interaction of the counter-rotating EPLPs with rare gas atoms. This scheme provides a delicate electric field variation with a well-controlled polarization rotation. The maximum of angular distribution of electrons in the above-threshold ionization (ATI) synchronizes with the polarization rotation, which directly tags the phase delay between the two pulses. The observed phase dependent Stark-shift of ATI electrons and the ionization yield oscillations reflect exactly the minimum/maximum electric field ratio of the counter-rotating field within one optical cycle, which provides us with an accurate value of ε for the EPLPs. We show that our scheme accurately determines a high ellipticity of 0.963 with an uncertainty of 0.007. The measurements based on our proposal are quantitatively confirmed by our theories based on the numerical solution to the time-dependent Schrödinger equation (TDSE) [33, 34] and by the Perelomov-Popov-

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mirror with a focal length of 75 mm. A xenon gas target is introduced by the supersonic expansion with a constant gas pressure to interact with the counter-rotating field. The COLTRIMS (cold-target recoil-rotating momentum spectroscopy) is used to detect the produced ions and electrons [41]. The three-dimensional momentum vector of a charged particle is extracted from the measured time of flight and the position of each particle.

The energy-integrated angular distributions of ATI electrons at different time delays determined by $\Delta \varphi$ are shown in Fig. 2(a). The maximum ejection direction $\theta_m$ of the electrons gradually shifts from $-45^\circ$ to $-180^\circ$ when $\Delta \varphi$ changes from $0.5\pi$ to $2\pi$. Since the ATI electrons will be dominantly emitted along the laser polarization direction of the counter-rotating field, the variation of $\theta_m$ directly reflects the polarization rotation of the combined counter-rotating field at different time delays, i.e. $\theta_m \approx \theta_L$. Please note that $\theta_L \approx -\Delta \varphi/2$ for a laser with a high ellipticity $\varepsilon$. From Fig. 2(a), one observes that the measured angular distributions (symbols) agree quite well with those of the theoretical calculations (solid lines), which are based on the numerical solution to the TDSE. An effective model potential [42] is used in our TDSE calculations, and all the shown results are the average of the ones starting from the initial $p_0$, $p_+$, and $p_-$-states. This agreement allows us to in situ tag the phase delay between the two laser pulses and can guarantee the phase-delay stability within a minimal deviation from the experimental fluctuations.

In order to reveal the dependence of the ATI spectrum on the actual peak intensity of the counter-rotating field, in Fig. 2(b), we present the angle-integrated ATI spectra measured at those various time delays. One observes clean and well-separated ATI peaks with a tiny but clear shift (guided by dashed lines) when the phase delay $\Delta \varphi$ is gradually changed. Actually, the peak shift exhibits a clear phase-dependent oscillation with a period of $2\pi$. For the nonresonant ionization, it is known that the ATI peaks can be described as [43]:

$$E = n\omega - (I_p + U_p),$$

where $n$ is the total number of absorbed photons, $\omega$ is the laser frequency, $I_p$ is the ionization potential, and $U_p = \frac{e^2 F_0^2}{4m_e \omega^2}$ is the ponderomotive energy. The ATI peaks may shift for different laser intensities since the ionization threshold has an ac Stark-shift that is equal to $U_p$. The observed oscillation of the tiny peak shift comes from the change of $U_p$, which is proportional to the actual peak laser intensity of the counter-rotating field. As mentioned previously, the strength of the counter-rotating field oscillates with the phase delay $\Delta \varphi$, and its minimum and maximum appear at $\pi$ and $2\pi$ respectively, due to the constructive interference of the minor and major axis for the two counter-rotating EPLPs.

Therefore, the observed peak shift oscillation exactly reflects the behavior of the counter-rotating field. In particular, the minimum/maximum electric field ratio of the

![FIG. 1: (Color online) Schematic diagram of the experimental setup. The laser propagates along the x axis and the polarization plane of each near-circular pulse lies in the y-z plane. The insert shows the temporal overlap between the two counter-rotating pulses and the combined linearly polarized field with the rotation of its polarization and variation in the peak field strength for different phase delay $\Delta \varphi$.](image-url)
FIG. 2: (Color online) The phase-delay dependence of the ATI electrons and the ion yield. (a) The energy-integrated angular distributions at various delays (symbols for the measurements and lines for the TDSE simulations). (b) The experimentally measured angle-integrated ATI spectra at different delays, compared against the TDSE calculations under the same laser parameters shown in (d). In (a), (b), and (d), the curve for each delay is relatively shifted vertically for a better visibility. In (c), the normalized ion yield for the single ionization of Xe is shown at different phase delays from the measurements (squares) and the PPT calculations (solid line).

combined counter-rotating field directly relates to the field ratio ($\varepsilon$) along the minor and major axis of the EPLP. By accurately calibrating the peak intensity of the counter-rotating field, one can extract an in situ value of $\varepsilon$ for the EPLP. The peak laser intensity can first be roughly calibrated by measuring the ionized electron drift momentum with one arm of the near-circular laser pulse [44], and then an accurate intensity can be evaluated from the observed $U_p$ shift in the ATI spectra at different phase delays. By doing so, we obtain a minimum intensity of 47.5 TW/cm$^2$ at $\pi$ and a maximum intensity of 51.2 TW/cm$^2$ at 2$\pi$. We find that the intensities extracted from different orders of ATI peaks show excellent agreement, which only gives a statistic deviation of about 1.5%. With this accurate laser intensity, an in situ $\varepsilon$ of 0.963 ± 0.007 for the EPLP can be directly derived from the ratio of intensities at phase delay $\pi$ and 2$\pi$. The uncertainty 0.007 mainly propagates from the intensity calibration. Please note that, by carefully adjusting the optics, one can make sure the two arms of the EPLPs are almost identical. Of course, the imperfectness of optical components may induce a slight difference in the ellipticities of the two pulses (less than 0.003 for our experiment). In this case, the in situ extracted $\varepsilon$ is actually the average ellipticity of two counter-rotating EPLPs, which however can unambiguously represent the ellipticity of each EPLP with a sufficient accuracy [45]. In addition, we point out that, by simply blocking one of the EPLPs, one can directly apply the other well calibrated EPLP in the further researches of ultrafast sciences.

To confirm the accuracy of the measurement, we carry out a series of TDSE calculations for the ATI spectra, with the same laser parameters (intensities and $\varepsilon$) extracted from the experimental measurements. The angle-integrated ATI spectra from TDSE are shown in Fig. 2(d) for various phase delay between the two laser pulses. As can be seen, these theoretical results indeed perfectly agree with those experimental measurements shown in Fig. 2(b). As a consistent cross-check, one can also extract the value of $\varepsilon$ from the theoretically calculated ATI spectra, using the same procedures as those for the experiment. We get a theoretical value of $\varepsilon$ to be 0.964, which retracts the input experimental measurement of 0.963 within a deviation of 0.001. The above comparison fully validates our methodology and also the accuracy of the experimental measurement of $\varepsilon$. Please note that, the in situ value $\varepsilon$ is shown to be larger than the estimated value of 0.93 by the traditional optical method, indicating that the ultrafast pulses become more isotropic in the focus region. This difference may originate from either the inaccurate optical measurement at a large ellipticity, or the imperfect performance of the window and reflection mirror. One notes that similar ATI oscillations can also be observed by simply inserting a rotating HWP and a polarizer after the single EPLP, which allows the extraction of $\varepsilon$ using the same method. However, this approach lacks of accuracy for near-circularly polarized laser pulses and also relies on the parameters of polarizer.

Apart from the peak shift oscillation of the ATI spectra, the measured total ion yield of the single ionization will be also periodically modulated by the phase delay

FIG. 3: (Color online) The normalized ion yield as a function of the phase delay for (a) different laser intensities (in TW/cm$^2$) at a fixed $\varepsilon = 0.87$; (b) various values of the ellipticity at a fixed laser intensity of 200 TW/cm$^2$. For every case, the lines stand for the theoretical calculations, while the symbols for the experimental measurements where the value of the ellipticity is estimated by the usual optical method.
of the two pulses, as shown in Fig. 2(c) by the squares. Theoretically, the total ion yield can be simply calculated by the PPT theory for the combined linearly polarized field for the $p_0$ orbital with the focusing volume effects fully taken into account. In the simulations, we use the same laser intensities calibrated by the above ATI measurement, but slightly adjust the particular value of $\varepsilon$ to best fit the modulation of the experimental measurement. When we take $\varepsilon = 0.957$ in the simulation, the two normalized curves perfectly agree with each other, which means that the accuracy of $\varepsilon$ extracted from the ion yield oscillation measurement is better than 0.01, compared to the experimental value of 0.963.

The ion yield oscillation originates from the same physical mechanism with that for the modulation of ATI-spectrum shift. As the ion yield $Y$ is much easier to be measured in most laboratories, we can use the ion yield modulation to extract the ellipticity of the laser pulse. In order to quantify the oscillation of the ion yield $Y$, we define a modulation index $R = Y_{\text{min}}/Y_{\text{max}}$. At the same laser intensity, one can gradually adjust the ellipticity adopted in the simulation to best fit the curve of $R$ with that of the experimental measurement so that the in situ $\varepsilon$ can be read off. One question is how the laser intensity calibrated experimentally will affect the trend of the modulation index $R$. Luckily, it turns out that $R$ only weakly depends on the laser intensity. As examples, we have measured and calculated the modulation at various intensities with the same ellipticity, three of which are shown in Fig. 3(a) for $\varepsilon = 0.87$. One can see that a variation of 20% of the intensity only slightly changes the ion yield modulation: the higher the intensity, the shallower the ion modulation. On the contrary, $R$ sensitively depends on $\varepsilon$: the deeper the modulation, the smaller the ellipticity. We only show three cases for such a strong dependence of $\varepsilon$ in Fig. 3(b) for the intensity of 200 TW/cm$^2$. Please note that, in this figure, the value of $\varepsilon$ marked for the experimental data has been evaluated through the traditional optical method. As one can see, when the ellipticity is smaller than 0.92, both curves agree with each other rather well, which means that the traditional optical method works reasonably well at smaller $\varepsilon$. However, a large discrepancy is observed for $\varepsilon = 0.93$ in which case the present measurement gives a value of 0.95 (i.e., the one used for the calculation to best fit the experimental curve). This deviation further confirms the importance of an in situ measurement for a near-circularly polarized pulse. These comparisons between the simulations and experimental measurements suggest that the modulation of the ion yield is a good observable for measuring $\varepsilon$. In the literature, the ion yields are measured by increasing the pulse energy which can cover a wide range of intensity. In the present proposal, by using the counter-rotating field, the ionization yield can be coherently controlled by accurately varying the electric field within an extremely narrow intensity range in the sub-cycle time scale.

Now we further investigate theoretically the applicability of the present method in a much broader range of laser parameters. First of all, let us look at the sensitivity of two ellipticity values of 0.87 (solid line) and 0.88 (dashed line) at a wide range of peak intensity between 60 to 600 TW/cm$^2$, as shown in Fig. 4(a). The agreement between the calculations and the available measurements (symbols) is pretty good, which approves the reliability of the present proposal. Another message Fig. 4(a) conveys is that the modulation is much more sensitive to the change of $\varepsilon$ than the fluctuation of the laser intensities and thus the uncertainty of the intensity calibration will not affect much of the extraction of the ellipticity. In Fig. 4(b), we extend the intensity dependence of the modulation to a wide range of $\varepsilon \in [0.84, 0.99]$. One can see that $R$ is even modulated for $\varepsilon = 0.99$, although the depth is decreased as $\varepsilon$ is increased, especially for higher laser intensities than 200 TW/cm$^2$ due to a strong depletion effect. In Figs. 4(c), as the pulse duration is changed from 30 to 50 fs, the modulation only has a small difference, which means that the present method can be safely applied in this range of pulse durations. Finally, for pulses with $\varepsilon = 0.87$ and the same pulse duration of 40 fs, in Fig. 4(d), we show the results for a wide range of the laser wavelength from 400 to 1000 nm. Generally, the modulation only weakly depends on the wavelength, especially in the high-intensity region. For the case of 400 nm, the possible resonance effect may lead to a larger difference at lower intensities.
In conclusion, we have proposed and realized a robust in situ scheme to retrieve the accurate value of ellipticity for a near-circularly polarized laser pulse. We demonstrated that the modulation of the ion yield can be served as a reliable observable for the calibration of ε in a wide range of laser parameters. This study promises a delicate ε as a reliable observable for the calibration of strong field ionization, the molecular orbital imaging, and the attosecond dynamics.

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[1] L. D. Landau and E. M. Lifshits, Quantum Mechanics: Non-relativistic Theory, 2nd edition (Pergamon Press Ltd, 1965).
[2] E. J. Takahashi, P. Lan, O. D. Mücke, Y. Nabekawa, and K. Midorikawa, Phys. Rev. Lett. 104, 233901 (2010).
[3] X. Xie, S. Roither, D. Kartashov, E. Persson, D. G. Arbó, L. Zhang, S. Gräfe, M. S. Schöffler, J. Burgdörfer, A. Baltuška, and M. Kitzler, Phys. Rev. Lett. 108, 193004 (2012).
[4] A. Wirth, M. T. Hassan, I. Grguras, J. Gagnon, A. Moulet, T. T. Luan, S. Pabst, R. Santra, Z. A. Alahmed, A. M. Azzeer, V. S. Yakovlev, V. Pervak, F. Krausz, and E. Goulielmakis, Science 334, 195 (2011).
[5] P. B. Corkum, Phys. Rev. Lett. 71, 1994 (1993).
[6] A. S. Landsman, C. Hofmann, A. N. Pfeiffer, C. Cirelli, and U. Keller, Phys. Rev. Lett. 111, 263001 (2013).
[7] L.-Y. Peng, W.-C. Jiang, J.-W. Geng, W.-H. Xiong, and Q. Gong, Phys. Rep. 575, 1 (2015).
[8] A. Hartung, F. Morales, M. Kunitski, K. Henrichs, A. Laucke, M. Richter, T. Jahnke, A. Kalinin, M. Schöffler, L. P. H. Schmidt, M. Ivanov, O. Smirnova, and R. Dörner, Nat. Photonics 10, 526 (2016).
[9] O. Smirnova, Y. Mairesse, and S. Patchkovskii, J. Phys. B 48, 234005 (2015).
[10] A. N. Pfeiffer, C. Cirelli, M. Smolarski, R. Dörner, and U. Keller, Nat. Phys. 7, 428 (2011).
[11] A. Fleischer, H. J. Wörner, L. Arissian, L. R. Liu, M. Meckel, A. Rippert, R. Dörner, D. M. Villeneuve, P. B. Corkum, and A. Staudte, Phys. Rev. Lett. 107, 113003 (2011).
[12] P. Ma et al., J. Phys. B 51, 094002 (2018).
[13] T. Herath, L. Yan, S. K. Lee, and W. Li, Phys. Rev. Lett. 109, 043004 (2012).
[14] P. Dietrich, N. H. Burnett, M. Ivanov, and P. B. Corkum, Phys. Rev. A 50, R3585 (1994).
[15] S. Eckart, M. Kunitski, M. Richter, A. Hartung, J. Rist, F. Trinter, K. Fehre, N. Schlott, K. Henrichs, L. Schmidt, T. Jahnke, M. Schöffler, K. Liu, I. Barth, J. Kaushal, F. Morales, M. Ivanov, O. Smirnova, and R. Dörner, Nat. Phys. 14, 701 (2018).
[16] Z. Chang, Phys. Rev. A 70, 043802 (2004).
[17] I. J. Sola, E. Mével, L. Elouga, E. Constant, V. Strelkov, L. Poletto, P. Villloret, E. Benedetti, J.-P. Caumes, S. Stagira, C. Vozzi, G. Sansone, and M. Nisoli, Nat. Phys. 2, 319 (2006).
[18] H. Mashiko, S. Gilbertson, C. Li, S. D. Khan, M. M. Shakya, E. Moon, and Z. Chang, Phys. Rev. Lett. 100, 103906 (2008).
[19] X. Feng, S. Gilbertson, H. Mashiko, H. Wang, S. D. Khan, M. Chini, Y. Wu, K. Zhao, and Z. Chang, Phys. Rev. Lett. 103, 183001 (2009).
[20] S. Gilbertson, S. D. Khan, Y. Wu, M. Chini, and Z. Chang, Phys. Rev. Lett. 105, 093902 (2010).
[21] C. A. Mancuso, et al., Phys. Rev. A 93, 053406 (2016).
[22] S. Eckart, M. Richter, M. Kunitski, A. Hartung, J. Rist, K. Henrichs, N. Schlott, H. Kang, T. Bauer, H. Sam, L. Ph. H. Schmidt, M. Schöffler, T. Jahnke, and R. Dörner, Phys. Rev. Lett. 117, 133202 (2016).
[23] K. Lin, X. Jia, Z. Yu, F. He, J. Ma, H. Li, X. Gong, Q. Song, Q. Ji, W. Zhang, H. Li, P. Lu, H. Zeng, J. Chen, and J. Wu, Phys. Rev. Lett. 119, 203202 (2017).
[24] C. I. Blaga, J. Xu, A. D. DiChiara, E. Sistrunk, K. Zhang, P. Agostini, T. A. Miller, L. DiMauro, and C. D. Lin, Nature 483, 194 (2012).
[25] C. Wang, M. Okumishi, R. R. Lucchese, T. Morishita, O. I. Tolstikhin, L. B. Madsen, K. Shimada, D. Ding, and K. Ueda, J. Phys. B 45, 131001 (2012).
[26] I. Barth and O. Smirnova, Phys. Rev. A 88, 031401 (2013).
[27] D. B. Milošević, Phys. Rev. A 93, 051402 (2016).
[28] A. Fleischer, O. Kfir, T. Diskin, P. Sidorenko, and O. Cohen, Nat. Photonics 8, 543 (2014).
[29] D. Baykusheva, M. S. Ahsan, N. Lin, and H. J. Wörner, Phys. Rev. Lett. 116, 123001 (2016).
[30] P. Eckle et al., Science 322, 1525 (2008).
[31] P. Eckle, M. Smolarski, P. Schlap, J. Biegert, A. Staudte, M. Schöffler, H. G. Muller, R. Dörner, and U. Keller, Nat. Phys. 4, 565 (2008).
[32] L. Torlina, F. Morales, J. Kaushal, I. Ivanov, A. Khleifets, A. Zielinski, A. Scrizzi, H. G. Muller, S. Sukiasyan, M. Ivanov, and O. Smirnova, Nat. Phys. 11, 503 (2015).
[33] D. Bauer and P. Koval, Comput. Phys. Commun. 174, 396 (2006).
[34] J.-W. Geng, W.-H. Xiong, X.-R. Xiao, L.-Y. Peng, and Q. Gong, Phys. Rev. Lett. 115, 193001 (2015).
[35] A. M. Perelomov and V. S. Popov, Sov. Phys. JETP 23, 924 (1966).
[36] A. M. Perelomov, V. S. Popov, and M. V. Terent’ev, Sov. Phys. JETP 24, 207 (1967).
[37] A. M. Perelomov and V. S. Popov, Sov. Phys. JETP 25, 336 (1967).
[38] S.-F. Zhao, A.-T. Le, C. Jin, X. Wang, and C. D. Lin, Phys. Rev. A 93, 023413 (2016).
[39] Y. H. Lai, J. Xu, U. B. Szafruga, B. K. Talbert, X. Gong, K. Zhang, H. Fuest, M. F. Kling, C. I. Blaga, P. Agostini, and L. F. DiMauro, Phys. Rev. A 96, 063417 (2017).
[40] X. Li, C. Wang, Z. Yuan, D. Ye, P. Ma, W. Hu, S. Luo, L. Fu, and D. Ding, Phys. Rev. A 96, 033416 (2017).
[41] J. Ullrich, R. Moshammer, A. Dorn, R. Dörner, L. Ph.
H. Schmidt, and H. Schmidt-Böcking, Rep. Prog. Phys. 66, 1463 (2003).

[42] A. Hartung, F. Morales, M. Kunitski, K. Henrichs, A. Laucke, M. Richter, T. Jahnke, A. Kalnin, M. Schöffler, L. P. H. Schmidt, M. Ivanov, O. Smirnova, and R. Dörner, Nat. Photonics 10, 526 (2016).

[43] R. R. Freeman, P. H. Bucksbaum, H. Milchberg, S. Darack, D. Schumacher, and M. E. Geusic, Phys. Rev. Lett. 59, 1092 (1987).

[44] I. V. Litvinyuk, K. F. Lee, P. W. Dooley, D. M. Rayner, D. M. Villeneuve, and P. B. Corkum, Phys. Rev. Lett. 90, 233003 (2003).

[45] See Supplemental Material for more details.

[46] C. Guo, M. Li, J. P. Nibarger, and G. N. Gibson, Phys. Rev. A 58, R4271 (1998).