Hidden laser communications through matter — An application of meV-scale hidden photons

J. Jaeckel¹, J. Redondo² and A. Ringwald²

¹ Institute for Particle Physics Phenomenology - Durham University, Durham DH1 3LE, UK, EU
² Deutsches Elektronen Synchrotron - Notkestraße 85, 22607 Hamburg, Germany, EU

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Abstract – Currently, there are a number of light-shining-through-walls experiments searching for hidden photons — light, sub-eV-scale, Abelian gauge bosons beyond the standard model which mix kinetically with the standard photon. If these experiments find evidence for hidden photons, laser communications through matter are possible. We show that, using methods from free-space optics, a channel capacity of more than 1 bit per second is possible in the near future, for distances up to the Earth’s diameter.

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Many extensions of the standard model predict one or more new Abelian gauge bosons ($\gamma'$) besides the photon ($\gamma$). If they are massless or very light, with masses $m_{\gamma'}$ in the sub-eV range, their dominant interaction with the standard photon arises from a mixing in the gauge-kinetic terms in the Lagrangian [1],

$$\mathcal{L} = -\frac{1}{4} F_{\mu\nu} F^{\mu\nu} - \frac{1}{4} B_{\mu\nu} B^{\mu\nu} - \frac{1}{2} \chi F^{\mu\nu} B_{\mu\nu} + \frac{1}{2} m_{\gamma'}^2 B_{\mu\nu} j^{\mu} A^{\nu},$$

where $F_{\mu\nu}$ is the field strength tensor for the ordinary electromagnetic gauge field $A^\mu$, $j^\mu$ is its associated current (generated by electrons, etc.), and $B^{\mu\nu}$ is the field strength for the new Abelian gauge field $B^\mu$. The parameter $\chi$ in eq. (1) gives the strength of the kinetic mixing between $A$ and $B$. Within the context of string-inspired extensions of the standard model, it is expected to lie in the range between $10^{-23}$ and $10^{-2}$ (cf. [2–5]), while experimentally or phenomenologically, the current limits, in the micro-eV up to eV range, are displayed in fig. 1.

A prominent role in these current limits is played by laboratory experiments exploiting the light-shining-through-walls (LSW) technique [6–11]. In these experiments, laser light is shone through a vacuum tube and blocked from another vacuum tube that is aligned to the first one. Hidden photons eventually generated in the first vacuum tube by photon $\leftrightarrow$ hidden photon oscillations, induced by kinetic mixing, will fly through the beam stopper due to their negligible interaction with matter and reconvert into photons in the second vacuum tube, appearing as light shining through the wall. In this letter, we show that in the case that one of the current experiments finds evidence for hidden photons, laser communications through matter are possible. We use methods from free-space optics, a channel capacity of more than 1 bit per second is possible in the near future, for distances up to the Earth’s diameter. A similar proposal has been recently discussed in [12] in which the particles used for communication are not hidden photons but axion-like particles (ALPs). Unfortunately, ALPs with the parameters required in [12] are excluded by astrophysical considerations that seem quite difficult to evade (however, see [13]). In contrast, the hidden photons considered in this paper do not suffer from such problems.

The proposed communication system is based on the concept of free space optics, exchanging the role of optical light as the transmitter for a beam of hidden photons (cf. fig. 2). Such a beam can be produced and controlled by a “progenitor” laser beam propagating in vacuum. The probability of vacuum photon $\leftrightarrow$ hidden photon oscillations (and vice versa) is given by [14]

$$P(\gamma \rightarrow \gamma') = P(\gamma' \rightarrow \gamma) = 4 \chi^2 \sin^2 \frac{m_{\gamma'}^2 L}{4\omega} \equiv 4 \chi^2 \times a,$$

with $\omega$ the laser photon frequency. The oscillation length is given by $L_{osc} = 4\pi m_{\gamma'}^2 / 4\omega$. Here we are interested in values...
in the meV valley (see fig. 1). For concreteness we will consider the following benchmark points:

\[ m_{\gamma'} = 2.3 \times 10^{-4} \text{ eV} \quad \text{and} \quad \chi' = 2 \times 10^{-6}, \]

\[ m_{\chi'} = 3.0 \times 10^{-3} \text{ eV} \quad \text{and} \quad \chi = 3 \times 10^{-7}, \]

which can be probed by laboratory experiments in the near future (cf. fig. 1). In addition, the first one has interesting phenomenological consequences in cosmology [17], while the second one could be relevant in astrophysical contexts [29]. The maximum of the oscillation (for which \( a = 1 \)) is reached after a length

\[ L_{\text{osc}}/2 = 23 \, (m^{*}/m_{\gamma'})^2 (\omega/\text{eV}) = 0.14 \, (m^{*}/m_{\gamma'})^2 (\omega/\text{eV}). \]

Our system is based on two optical cavities\(^1\) which act as \( \gamma \leftrightarrow \gamma' \) transducers: emitter and receiver, cf. fig. 2. In the emitter, hidden photons are produced through \( \gamma \rightarrow \gamma' \) oscillations with the same characteristics as the photons in the cavity and therefore their beam can be easily controlled. A modulator (Mod) can actuate on the laser amplitude, phase, or polarization, the cavity being a mere amplification mechanism.

The emitted hidden photons can traverse any dense medium without significant losses. The hidden-photon absorption length in a dense medium with photon absorption length \( l_{\gamma} \) can be estimated as follows (see, for instance [27]):

\[ l_{\gamma} \geq l_{\gamma} L_{\text{osc}}^{2} \frac{\chi'}{\chi^{2} l_{\gamma}^{2}} = 5.3 \times 10^{9} \text{ km} \times \left( \frac{l_{\gamma}}{1 \text{ mm}} \right)^{-1} \left( \frac{\omega}{1 \text{ eV}} \right) \left( \frac{\chi}{\chi^{*}} \right)^{-2} \left( \frac{m_{\gamma'}}{m_{\gamma}} \right)^{-4}. \]

For the \( \bullet \) benchmark point (and in general the rest of the interesting parameter space) this is even longer. Therefore, for the values we consider these losses are completely negligible, even in a dense medium like the Earth.

The only losses to consider are then diffraction losses. Assuming that the emitter cavity is locked in the fundamental Gaussian mode (TEM\(_{00}\)) and is optimized for cavity mirrors of diameter \( D_{c} \), the hidden-photon power at a distance \( R \) from the emitter is diminished by the factor

\[ \frac{\omega^{2} D_{c}^{2} D_{r}^{2}}{8 \pi^{2} R^{2}}. \]

This is the case when the input beam has a waist size that almost fills the mirror diameter \( w = 0.45D_{c} \) (see, for instance, [33]). Here \( D_{r} \) is the diameter of the mirrors of the receiver cavity.

At the receiver tube, the hidden-photon beam can be considered as a plane wave. Assuming perfect alignment of the receiver cavity, the photon signal will be resonantly enhanced due to constructive interference of photons coming from oscillations of hidden photons that enter the cavity at different times. The locking of this cavity has to be done to a fixed reference frequency or an atomic clock. Photons in the receiver will exit the cavity in both directions and can be collected by two detectors. The final power \( P_{\gamma,r} \) is then related to the input laser power \( P_{\gamma,0} \) by the expression

\[ P_{\gamma,r} = 32 \chi^{4} a_{e} a_{r} \frac{F_{e} F_{r}}{\pi^{2}} \omega^{2} D_{c}^{2} D_{r}^{2} \frac{P_{\gamma,0}}{8 \pi^{2} R^{2}}. \]

where \( F_{e,r} \) are the fineses of the emitter and receiver cavities\(^2\).

\(^1\)Increasing the sensitivity of LSW experiments by putting resonant optical cavities on both sides of the wall was first proposed in ref. [31] and rediscovered in ref. [32].

\(^2\)The finesse is defined as the free-spectral range divided by the full-width half-maximum of the optical cavity, see, for instance, [34]. With this definition, the finesse is related to the number of passes inside the cavity via \( F/\pi = N_{\text{pass}}/2 \).
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Fig. 2: (Colour on-line) Sketch of the hidden-photon communication system. A laser modulated in amplitude or polarization feeds a resonant cavity placed inside a vacuum tube. A fraction of the power inside the cavity oscillates into hidden photons that being weakly interacting escape the cavity and can traverse dense media without losing information. The receiver is another cavity in vacuum locked to the frequency of the hidden-photon signal. Hidden photons resonantly reconvert into photons that are finally detected at both the receiver cavity ends.

Table 1: Capacity in bit/s of hidden-photon communication at different distances for hidden-photon parameters given by the two benchmark points $\bullet$, $\Delta$ (see eq. (3) and fig. 1). We show two different configurations: 2 cavities (at emitter and receiver) and 1 cavity (only at emitter). The finesse of the cavities was optimized as described in the text with a maximum value of $F = 3 \times 10^5$. The optimized value of the finesse is indicated in the subscripts. A number $n_{\text{psp}}$ of phase shift plates has been used.

| Benchmark | $n_{\text{psp}}$ | 10000 | 12.8 x 10^3 ($D_{\text{Earth}}$) | 384 x 10^3 ($R_{\text{Moon}}$) |
|-----------|-----------------|-------|---------------------------------|---------------------------------|
| $\bullet$ | 1 cav.          | 2660  | $F=2.3 \times 10^4$             | 16 $F=3.0 \times 10^5$          |
|           | $n_{\text{psp}} = 0$ | 1 cav. | $F=3.0 \times 10^5$             | 0.16 $F=3.0 \times 10^5$         |
| $\Delta$  | 2 cav.          | 7440  | $F=8.2 \times 10^3$             | 1360 $F=4.5 \times 10^4$         |
|           | $n_{\text{psp}} = 62$ | 1 cav. | $F=4.6 \times 10^4$             | 102 $F=3.0 \times 10^5$          |

The channel capacity, i.e., the theoretical maximum of information that can be reliably transmitted over a communication channel, will generally depend on the process of detection of the photons exiting the receiver cavity. Two schemes seem possible, direct photon detection or heterodyne amplification$^3$. In practice both methods should give similar results for the small signals we are considering. In the latter case, the channel capacity in bit/s is [35]

$$C = \Delta \nu \log_2 \left( 1 + \frac{S}{\Delta \nu} \right),$$  \hspace{1cm} (9)

with $\Delta \nu$ the smaller bandwidth (in Hz) of the two cavities ($\Delta \nu = (2L F)^{-1}$), $S = \eta P_{\gamma}/\omega$ the number of photons detected per unit time with $\eta$ the quantum efficiency. As fiducial values we can take: $L \leq 10m$, $\omega = 1.16eV$ ($\lambda = 1064 $ nm), $\eta = 0.86$, $D_{\text{c,e}} = 38cm$ and $P_{\gamma 0} = 100W$, values certainly attainable today.

Since $C$ is a convex function of $F$, it can be maximized. Writing $C = c_1 F^{1/3} \log_2 (1 + c_2 F)$ we find an optimum for $F = 2.51(c_2)^{-1/3}$ where formally $c_2 = |S/\Delta \nu|_{F=1}$. Allowing values up to $F = 3 \times 10^5$ and our benchmark point ($\chi^2, m_{\gamma}^*$), we find the achievable channel capacities at different distances shown in table 1. In fig. 1 we show the dependence on $m_{\gamma}$ and $\chi$ for a fixed distance taken to be the Earth’s diameter. Choosing a symmetric setup with two equal cavities allows for communication in both directions: the “receiver” cavity can also be fed by a laser and the “emitter” cavity can also be equipped with a detector system. A more simple setup can be achieved not including the receiver cavity. Of course, the capacity in this case is much smaller, as also shown in table 1.

This setup based on resonant cavities seems to be optimal for small masses like $m_{\gamma}^* = 2.3 \times 10^{-4}eV$, but it can be improved in the case of larger masses by the use of phase shift plates (PSP) [36] inside of the emitter and/or the receiver cavity. Phase shift plates are thin small refractive plates whose optical path is tuned to restore the coherence of the photon $\rightarrow$ hidden photon oscillations at the specific positions where it starts to decrease (this is a nearly optimal choice for the number and location of the phase shift plates). Placing $n-1$ phase shift plates with a spacing of $L_{\text{osc}}/2$ in an oscillation cavity, the probability of the oscillations after a length $nL_{\text{osc}}/2$ is $4n^2\chi^2$ and therefore in principle the power transmitted would be enhanced by a factor $n^4$. Unfortunately, the addition of optical components in the interior of a resonant optical cavity tends to decrease the achievable finesse. For an impedance matched resonator [34], the finesse is inversely proportional to the dispersion coefficient (in a round trip)

$^3$This method is disfavored in purely optical communications due to the distortions caused by the atmosphere, but this is certainly not a limitation in our case.
which is directly proportional to the number of phase shift plates,
\[ \mathcal{F} \approx \frac{4}{\pi} \frac{A}{A_0 + (n - 1)A_{\text{psp}}} \]
with \( A_0 \) the loss factor due to absorption, scattering and deflection of light and transmissivity of the mirrors in the cavity without PSPs and \( A_{\text{psp}} \) the loss factor of a PSP.

Therefore, for large \( n \), the power transmitted through two cavities will behave like \( \propto n^2 \). For a fixed maximal length, the number of phase shift plates is \( 2L/L_{\text{osc}} \). For instance, in our second benchmark point with \( m^2 \chi = 3 \times 10^{-5} \text{ eV} \) and again using a cavity of length 10 m this yields \( n = 62 \) and an enhancement of the rate of order \( \sim 4000 \). The achievable capacities for several distances are shown in table 1. The capacity improved by the insertion of phase shift plates is shown as dashed lines in fig. 1.

Let us come back to the issue of alignment and locking of the two cavities. With the figures used above, the beam divergence is of the order of arcsec and the beam spot size can be approximated as \( w \approx \theta R/D_e \), which is above \( \sim 10 \) m for lengths larger than \( 10^5 \) km. Current GPS technology can be used to set the receiver coordinates with an accuracy of several cm, and telescope mounts can provide pointing accuracies of less than 0.1 arcsec. The pointing stability of the best commercial CW lasers is around the arcsec ballpark and will be further improved by the resonator. Putting all together we think that alignment of the two cavities can be done even in the absence of a clear signal in the receiver. However, once a small signal is transmitted a feedback control loop can be established in the receiver alignment system to optimize the reception. The simultaneous locking of the two cavities will be more complicated. Two atomic clocks, at the emitter and receiver can be used to fix the frequency standard up to a precision of \( 10^{-15} \). The small length fluctuations of the cavity caused by temperature and mechanical oscillations of the environment can be read by using the Pound-Drever-Hall (PDH) filtering technique and then compensated by actuators on the position of the cavities’ mirrors. This locking can be done at the emitter and receiver cavity separately by using a small CW signal from the laser.

In summary, we have proposed a method to send signals over long distances through dense matter. Possible applications include communication between submarines, mines or to the backside of the moon [12]. One could also contemplate the possibility of sending encryption keys directly through Earth thereby making it more difficult to eavesdrop. Our system relies on the possible existence of a definite species of very light and very elusive particles beyond the known ones: hidden photons. The latter may be emitted and received by exploiting photon ↔ hidden photon oscillations in resonant optical cavities. Because of their very feeble interactions with known particles, the hidden photons emitted by the emitter cavity will not be absorbed or deflected by any material between the latter and the receiver cavity. Clearly, our proposal is an extreme version of an LSW experiment — taking the wall thickness to extreme values. With currently available technology it seems that communication through the diameter of the Earth is possible with an information transmission rate of more than 1 bit per second, provided hidden photons with sub-eV mass and a kinetic mixing parameter, measuring the strength of the oscillations, exceeding \( \chi \gtrsim 10^{-7} \) exist. For masses in the 0.2–3 meV range, this possibility is not only not excluded by experiments (cf. fig. 1), but it may even be expected theoretically.

Compared to a similar proposal [12], which exploits axion-like particles for the transmission, our proposal has several advantages. First, the interesting parameter range for hidden photons is allowed by all current experiments and observations. Second, the production and regeneration of hidden photon does not require a strong magnetic field making the apparatus simpler. And finally the introduction of phase shift plates allows for a significant enhancement of the channel capacity.

This provides further motivation for the current and near-future small scale, precision optical experiments to probe the meV mass range for hidden photons.

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