Exchange-mediated magnetic blue-shift of the band-gap energy in the antiferromagnetic semiconductor MnTe

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Abstract

In magnetic semiconductors the optical spectrum and, in particular, the absorption edge representing the band-gap are strongly affected by the onset of the magnetic order. This contribution to the band-gap energy has hitherto been described theoretically in terms of a Heisenberg Hamiltonian, in which a delocalized conduction carrier is coupled to the localized magnetic moments by the exchange interaction. Such models, however, do not take into account the strong correlations displayed in a wide variety of magnetic semiconductors, which are responsible for the formation of the local moments. In particular, the itinerant carrier itself contributes to the spin moment. Here, we overcome this simplification in a combined experimental and theoretical study of the antiferromagnetic semiconductor α-MnTe. First, we present a spectroscopic optical investigation as a function of temperature, from which we extract the magnetic contribution to the blue-shift of the band-gap. Second, we formulate a minimal model based on a Hubbard–Kondo Hamiltonian. In this model, the itinerant charge is one of the electrons forming the localized magnetic moment, which properly captures correlation effects in the material. Our theory reproduces the experimental findings with excellent quantitative agreement, demonstrating that the magnetic contribution to the band-gap energy of α-MnTe is mediated solely by the exchange interaction. These results describe an intrinsic property of the material, independent of the thickness, substrate and capping layer of the specimen. One of the key findings of the model is that the basic effect, namely a blue-shift of the band-gap due to the establishment of the magnetic order, is a general phenomenon in charge-transfer insulators. The identification of the relevant magnetic interaction discloses the possibility to exploit the effect here discussed to induce a novel regime of coherent spin dynamics, in which spin oscillations on a characteristic time-scale of 100 fs are triggered and are intrinsically coupled to charges.

1. Introduction

The investigation of the interaction between light and magnetic materials has been a dominating topic in condensed matter physics, given the applicability of optical methods to virtually all the magnetically ordered compounds, regardless of their electronic nature (conductor, insulator or semiconductor). In particular, a massive and ever-increasing effort has been devoted to control the magnetic order of solids on the ultrafast time-scale by means of femtosecond laser pulses [1–6]. From the plethora of studies already published in the literature two main considerations can be deduced: (i) the time-scale of the photo-induced spin dynamics depends on the specific magnetic interaction (i.e. spin–orbit or exchange) involved in the coupling between light and spins [7–9], (ii) it is highly desirable to convert femtosecond manipulations of the magnetic order into charge signals. The latter point has both fundamental and applied motivations. On the one hand, it addresses unexplored phenomena such as a transfer of coherence, and thus information,
from a photoinduced coherent collective magnetic mode to charges on a time-scale as short as 10 femtosecond [10–13] even in the absence of laser-heating [14]. On the other hand, any future information technology which may rely on femtosecond manipulations of magnets needs to be compatible with nowadays available schemes, which are charge-based. In this framework it emerges as paramount to investigate materials in which spin and charges are coupled [15–19], identify signatures of such coupling by means of optical spectroscopic methods and realise which magnetic interaction is involved. In fact the bottleneck of the time-scale of the whole process is determined by the spin system, as the electronic dynamics is typically faster [20]. A class of materials that has recently attracted major interest in this respect is represented by antiferromagnets, in view of their intrinsically faster spin dynamics when compared to ferromagnets [21–23]. In addition, magnetically ordered semiconductors display in their ground state an intrinsic coupling between the optical and magnetic degrees of freedom [24–27].

Here we report an experimental and theoretical investigation of the antiferromagnetic semiconductor $\alpha$-MnTe. We perform temperature-dependent absorption measurements to extract the magnetic contribution to the blue-shift of the band-gap energy, which is observed as the temperature decreases. The described phenomenon results from a correlation between charges and magnetic order. We unravel the microscopic origin of such correlations, by modelling the magnetic structure of our material and quantitatively calculating the effect of the long-range magnetic order on the energy of the band-gap by means of a Hubbard–Kondo type Hamiltonian. Our work demonstrates that the experimentally detected magnetic contribution to the blue-shift of the band-gap is quantitatively reproduced in a mean-field description based on a two-site cluster and, as such, is directly related to local correlations in the material. Crucially, the correlation between magnetism and optical properties is purely mediated by the exchange interaction: no contribution from the spin–orbit coupling has to be invoked to reproduce the experimental results with excellent agreement.

2. Methods and materials

Hexagonal manganese telluride ($\alpha$-MnTe) crystallizes in the NiAs structure [28] (space group $D_{6h}^1$). It is a correlated magnetic semiconductor with a moderate indirect band-gap $E_g \approx 1.27$–1.46 eV and magnetic order below the Néel temperature $T_N \approx 310$ K [29]. The magnetic structure consists of ferromagnetic hexagonal Mn planes, stacked and coupled antiferromagnetically along the $c$-axis [30, 31] (figure 1). Like for other magnetic semiconductors, it has been shown that free standing single crystals of $\alpha$-MnTe display a magnetic contribution to the band gap energy that scales like the square of the magnetization of the two Mn-sublattices (shown in figure 1 as Mn$^{5+–6+}$) as a function of temperature [32]. This effect was demonstrated on specimens with thickness on the order of 200 $\mu$m [32]. Here, we investigate a 200 nm thick film of $\alpha$-MnTe grown by molecular beam epitaxy on a SrF$_2$(111) substrate using elemental Mn and Te sources and substrate temperature in the 370 °C–450 °C range. Two-dimensional growth was achieved in both cases as inferred from the streaked reflection high energy electron diffraction (RHEED) patterns observed during growth. The epitaxial relation between the MnTe overlayer and the substrate is $(0001)\parallel(11\bar{1})_{\text{MnTe}}$ and $(11\bar{1})\parallel(1\bar{1}2)_{\text{mth th m i k l a y e r ofA l2O3 caps the sample.}}$. A 10 nm thick layer of Al$_2$(O$_3$) caps the sample.

To access the temperature dependence of the optical band-gap energy, we perform measurements of the absorption spectrum of $\alpha$-MnTe as a function of temperature (figure 2(a)). For this purpose we employed the commercially available CARY 6000i UV-Vis-NIR system from Agilent Technologies covering the spectral range (175–1800) nm. In this instrument, the output of a tungsten lamp is monochromatised by an out-of-plane double Littrow monochromator achieving a spectral resolution of $\approx 1$ nm. The monochromatic light is then split into two beams by a three-bladed mechanical chopper operating at 30 Hz and fed into two different paths: the sample and the reference path. In the sample path we placed an additional optical cryostat containing the sample, allowing us to change the sample temperature in the (4–400) K range. The intensity of both the transmitted beam and the reference beam are measured.

3. Optical spectroscopy

Figure 2(a) displays the temperature dependence of the optical absorption spectrum in the energy window 1–3 eV for a few selected values of temperature. The rising edge of the absorption spectrum, observed in correspondence of the spectral range containing the band-gap, is strongly affected by the modification of temperature. In order to properly analyse and rationalise this observation, we recall a few basic aspects of the optical properties of indirect band-gap semiconductors.

The optical absorption edge representing the electronic band-gap in indirect semiconductors is influenced by two different processes: the photon absorption and the absorption/emission of phonons that
Figure 1. Crystallographic and magnetic structure of $\alpha$-MnTe. The three super-exchange paths are shown by the red dashed arrows [31]; $J_1$ is the dominating antiferromagnetic super-exchange interaction to two vertically adjacent sites, $J_2$ is a weaker ferromagnetic coupling between Mn-atoms within the ferromagnetic hexagonal planes to six horizontally adjacent sites, the Te-mediated $J_3$ is the weakest interaction and it is antiferromagnetic, involving 12 next-nearest neighbour sites.

Figure 2. (a) Selected measurements of the absorption spectrum as a function of temperature from 25 K to 400 K. The profile and the position of the fundamental absorption edge change. The instrumental error was estimated to be $\pm 0.03 \text{ cm}^{-1} \times 10^4$. This value was obtained by calculating the standard deviation of the data in spectral ranges where the absorption is flat. (b) Performing a linear fit for phonon assisted absorption (red) and emission (blue) the band gap energy is estimated. It is defined as the average between the onset energies of the strong absorption for both phonon assisted absorption and emission.

allow the indirect optical transition. Relying on perturbation theory, the imaginary component of the dielectric function in the vicinity of the optical band-gap energy ($E_g$) is typically described [33] as

$$\epsilon(\omega) = \left(\frac{\hbar \omega}{\hbar \omega + E_p - E_g}\right)^2 \quad \text{for} \quad \hbar \omega \gtrless E_g \pm E_p,$$

where $\hbar$ represents the reduced Planck constant, $\omega$ the frequency of the absorbed light beam, $E_p$ the energy of the absorbed/emitted phonon during the optical transition [33]. We observe that this modelling is a strong simplification of the dielectric function, since the probabilities of phonon absorption and emission are assumed to be equal and several other processes, which may strongly affect the spectrum
Figure 3. Temperature dependence of the band-gap energy. The plotted Varshni function from equation (2) reproduces the data in the paramagnetic phase. Subtracting it from the dataset for $E_g$ (black squares, left y-axis), as reported in the main text, allows us to isolate the magnetic contribution to the band-gap energy. This contribution (blue dots, right y-axis) varies with the temperature consistently with the trend followed by the sublattice magnetization, as already reported for bulk samples [32].

Let us now discuss the temperature dependence of $E_g$. In a paramagnetic semiconductor, it is generally described in terms of the phenomenological Varshni function

$$E_g(T) = E_g(0) - \frac{aT}{T + b},$$

where $a$ and $b$ are constants and $E_g(0)$ describes the energy of the optical band-gap at $T = 0$ K [32, 34]. Figure 3 shows the temperature dependence of $E_g$ as extracted from the absorption measurements (black diamonds). By means of equation (2) we reproduce the data in the paramagnetic phase ($T > 307$ K), by setting $b = 60$ K and taking $a$ and $E_g(0)$ as fit parameters, as demonstrated in the literature [32].

However, as the long-range antiferromagnetic order is established, the experimentally obtained data points are shifted towards a higher energy with respect to the extrapolated Varshni-function. This blue-shift increases as the temperature decreases (figure 3). In order to extract the magnetic contribution to the blue-shift from the data, we subtract the extrapolated Varshni function (red curve in figure 3), representing the paramagnetic behaviour, from the entire data-set. The obtained magnetic contribution to the blue-shift is shown in figure 3 with blue dots and is consistent with the literature [32], scaling with temperature thus, as the squared normalised sublattice magnetization $\Delta E(T) \propto (M(T))^2$. Given the equivalence of the two sublattices in an antiferromagnet, it follows that $M = M(\text{Mn}^{\uparrow}) = -M(\text{Mn}^{\downarrow})$. The magnetic blueshift detected at the lowest temperature ($T = 25$ K) amounts to $\approx 80$ meV. The results shown in figure 3 confirm the results reported in the literature for samples with thicknesses on the order of 200 $\mu$m [32]. The discrepancy between the results of our analysis and the values reported in the literature [32] can be taken as a measurement of the accuracy of our procedure to extrapolate the low-temperature value of the magnetic blueshift, based on the fitting of data in the paramagnetic phase (i.e. $T > 300$ K). Such accuracy is $\approx 10$ meV, consistent also with the discrepancy between different datasets in reference [32]. This observation reflects therefore an intrinsic property of $\alpha$-MnTe, which is independent of the sample thickness and is not affected by the presence of a substrate and capping layer.

Having established this robust experimental evidence, we deal then with the fundamental question about the microscopic origin of the magnetic contribution to the blue-shift of the band-gap energy. In particular, we aim at identifying the magnetic interactions involved in this process.

4. Theoretical model

In the literature, the magnetic contribution to the blue-shift of the optical band-gap has been treated by modelling the system by means of Heisenberg Hamiltonians containing, as a main ingredient, the exchange interaction between a conduction electron (or hole) and the localized magnetic moments of the Mn ions.
Figure 4. (a) Only one exchange interaction, namely the super-exchange pattern $J_1$ (figure 1) is considered explicitly. Solving the Hamiltonian in equation (3) with $h = 0$, 15 electronic levels are obtained and the bare optical band-gap $\Delta_{dd}$ is identified as the difference in energy between the first and the 15th level. The mobile spins are indicated as $s_{1,2}$, while $S_{1,2}$ represent the localized magnetic moments. (b) Including the effective mean-field $h$ (representing also the effect of the other super-exchange couplings $J_2$ and $J_3$), the energy levels are shifted and $\Delta_{dd}$ increases. In particular, a quantitative estimation of the blueshift of $\Delta_{dd}$ and, thus, of $E_g$, provides a numerical value remarkably close to the experimental observations.

The value of the magnetic blue-shift can be calculated applying second-order perturbation theory to the ground state of the system with $N$ spins and one electron. Although this procedure gives theoretical values close to the experiments, it does not capture the correlations that underly the observed phenomenon, which are responsible for the formation of magnetic moments. The microscopic nature of the electronic interactions, such as local Hubbard repulsion and Hund’s coupling, are missed, although they are known to be crucial [37]. Thereby the origin of the coupling between magnetic properties and charges in $\alpha$-MnTe is not clarified.

To go beyond this limited picture, we formulate a minimal model based on a Hubbard–Kondo type Hamiltonian by considering two manganese ($\text{Mn}^{2+}$) sites $i \in \{1, 2\}$ along the $z$-direction, which coincides with the crystallographic $c$-axis of $\alpha$-MnTe to gain a qualitative and quantitative description of the spin-charge coupling. At each manganese site there are five electrons, four of which are treated as localized spins $\vec{S}_i$ with $S = 2$, consistent with the first Hund’s rule. The two $\text{Mn}^{2+}$ magnetic moments are antiferromagnetically coupled by a single exchange constant $J_1$, representing the $J_1$ path displayed in figure 4(a): the two localized magnetic moments mimic the two Mn-sublattices. The fifth electron can hop back and forth between the two sites with an amplitude $t$. It is important to underline, that we do not state that the $d$-electrons in MnTe can be rigorously split into four localised ones and an itinerant one. We rather view the itinerant one and its charge dynamics as representative of all five $d$-electrons. The spin of the itinerant electron is $\vec{s}_i$ with $s = 1/2$ and it is coupled ferromagnetically to the local spins via the Hund’s coupling $J_H$. Since we consider $NS = 2$ localised magnetic moments and $Ns = 1/2$ itinerant spins for a lattice of $N\text{Mn}$ sites, no degrees of freedom are left out. The electrons with opposite spins at each site experience a Hubbard repulsion $U > 0$ suppressing double occupancy and favouring local moment formation. We also include an additional pivotal element: an alternating effective mean-field $h$ representing the exchange interaction of the two $\text{Mn}^{2+}$ spins with the magnetic moments on adjacent Mn sites, which are not explicitly included in the two-site model (figure 4(b)). It is worth noting that $h$ describes the effect of the magnetic environment on the $\text{Mn}^{2+}$ moments and is thereby generated by a $J_1$ coupling to one adjacent magnetic moment in the $z$-direction, six nearest neighbours coupled by $J_2$ in the $xy$-plane and 12
next-nearest-neighbours coupled by \( J_1 \). The values of these couplings are taken from experiment \([31]\), since their \textit{ab initio} determination is very demanding \([38]\) and beyond the scope of the present paper. This physical picture is formalised by the following Hamiltonian

\[
H = -2J_1 \sum_{i=1}^{2} \vec{s}_i \cdot \vec{s}_j + J \left( \vec{S}_1 \cdot \vec{S}_2 + \vec{S}_1 \cdot \vec{s}_2 + \vec{s}_1 \cdot \vec{S}_2 \right) - \hbar (\vec{S}_1^2 + \vec{s}_1^2 - \vec{S}_2^2 - \vec{s}_2^2)
\]

\[
- t \sum_{i \in \{1,2\}} \left( c_{i,\sigma}^\dagger c_{2,\sigma} + c_{2,\sigma}^\dagger c_{1,\sigma} \right) + U \sum_{i=1}^{2} n_{i,\sigma} n_{i,\bar{\sigma}},
\]

where \( n_{i,\sigma} := \frac{1}{2} (c_{i,\sigma}^\dagger c_{i,\sigma}) \) is the occupation number of the electron with spin \( \sigma \). Setting \( \hbar = 0 \) (figure 4(a)), the ground state is a singlet, i.e. \( S_{\text{tot}} = 0 \), where

\[
\vec{S}_{\text{tot}} = \sum_{i=1}^{2} (\vec{S}_i + \vec{s}_i)
\]

describes the total spin vector. Since our model does not comprise spin–orbit coupling, the light-matter interaction cannot change the total spin. The optical band-gap \( \Delta_{dd} \) is thus determined by the difference between the ground state and the next higher lying state with \( S_{\text{tot}} = 0 \) (figure 4(a)). Although \( \Delta_{dd} \) overestimates the experimentally detected band-gap \( E_p \), these two quantities are related in a one-to-one fashion. We find that \( \Delta_{dd} \) is the 15th state if the ground state is counted as the first. Hence, the bare optical gap \( \Delta_{dd} = E_{15} - E_1 \) in the two-site model expressed by the Hamiltonian in equation (3). The bare optical gap takes values around \( 5.5 \) eV (see table 1). Inspecting local atomic physics, one finds that for the \( d \)-orbitals of Mn\(^{2+}\) the Racah parameters \( A, B \) and \( C \) \([39]\) are deduced and the relation linking to \( U \) and \( J_{H} \) follows as \([40]\):

\[
U = A - 5B
\]

\[
J_{H} = 3B + C.
\]

and for comparison the ones from reference \([41]\)

\[
U = A + \frac{97}{63} B + \frac{71}{55} C
\]

\[
J_{H} = \frac{7}{2} B + \frac{97}{70} C.
\]

In view of the better agreement with other values from the literature, we take \( U = 5.5 \) eV and \( J_{H} = 0.8 \) as reasonable. We identify the magnetic exchange coupling \( J \) in the dimer model with \( J_1 \) in MnTe and with \( J_1 \) in reference \([45]\). The value reported in this reference has to be doubled, since conventionally a bond is counted once in magnetic systems. Then we obtain \( J = 3.7 \) meV. The maximum field exerted by the neighbouring sites is simply taken from the maximum of the measured dispersion, hence \( h_{\text{max}} = 35 \) meV. This value is essentially equal to the sum of all couplings weighted by their coordination number and the
Table 1. Racah parameters (in eV) and resulting couplings (in eV) according to the references in the first column. The first set of Hubbard repulsion and Hund’s coupling (columns 5 and 6) are computed according to reference [40], (equation (6)), and the second set (columns 7 and 8) according to reference [41], (equation (7)).

| Reference | A   | B   | C   | U   | J₁   | U   | J₁ |
|-----------|-----|-----|-----|-----|------|-----|----|
| [42, 43]  | 6.05| 0.107| 0.477| 5.5 | 0.8  | 7.2 | 1.05 |
| [44]      | 5.43| 0.119| 0.4122| 4.8 | 0.77 | 6.5 | 1.00 |

Figure 5. The model parameters are: \( U = 5.5 \text{ eV} \) and \( J = 3.7 \text{ meV} \). Strikingly the value of \( t \) does hardly change the maximum value of the additional band-gap energy.

maximum sublattice magnetization \( h_{\text{max}} = (5/2)(2J_1 - 6J_2 + 12J_3) \). Note that we assign a minus sign to the ferromagnetic exchange. The hopping parameter can be chosen so that the resulting coupling between the two mobile spins equals \( J \)

\[
J = \frac{4t^2}{\Delta_{dd}},\tag{8}
\]

which leads to \( t = 86 \text{ meV} \). Considering hence the saturated magnetization \((m = 5/2)\), which corresponds experimentally to the measurements performed at the lowest temperature, the predicted blueshift of \( E_g \) is 84 meV. This value compares remarkably well with the measured 80 meV shift of \( E_g \). The essential observation in figure 5 is that the value of \( t \) hardly influences the maximum value of the additional gap, even though it is altered by more than an order of magnitude. There is, however, an influence on the shape of the curve. Nevertheless an estimation of the value of the hopping energy can be done. First, considering the values of the parameters employed and reminding that \( J = 4t^2 / \Delta_{dd} \) and \( \Delta_{dd} = U + 4J_{1\text{v}} \), we thus obtain \( t = 0.086 \text{ eV} \). Second, taking an estimate of the bandwidth value \( W \approx 2 \text{ eV} \) from DFT calculations [30] and considering the extreme case, in which only one-dimensional Mn–Mn electronic hopping along the \( z \)-direction is relevant, we obtain \( t = 0.5 \text{ eV} \). Therefore the 0.086 eV–0.5 eV range provides an estimation of the hopping energy \( t \) and is not too wide: figure 5 demonstrates that the results of the model are quantitatively robust even for variations of \( t \) larger than one order of magnitude. We thus conclude that our model, albeit simplified, properly captures the fundamental physics of the phenomenon displayed in figure 3 for \( h \neq 0 \) and thus \( m \neq 0 \). It is imperative to underline that the addition of spin–orbit coupling to our model is not necessary to reproduce the data shown in figure 3: this effect is thus induced solely by the exchange interaction.

5. Conclusions and outlook

We measured the magnetic contribution to the blue-shift of the band-gap energy as a function of temperature in the antiferromagnetic \( \alpha \)-MnTe. Then we formulated a minimal theoretical model able to qualitatively and quantitatively reproduce the experimental observation with excellent agreement. The theoretical calculation successfully describes the increase of the energy gap in a two-site model enhanced by a mean-field effect, showing the significance of local correlations. This result suggests that an improved description in an extended lattice model will be feasible by dynamic mean-field theory [37], although the large number of bands poses an obstacle to a straightforward application. One of our key findings is that the basic effect, namely a blue-shift of the band-gap due to the magnetic ordering is a general phenomenon in charge-transfer insulators. In fact our results were obtained employing only parameters from the
literature and without any fine-tuning. Our work lays the foundations to disclose novel dynamical regimes, in which one of these two degrees of freedom is modulated and the other is affected as well. Recently it has been widely demonstrated that the sublattice magnetization of an antiferromagnet (as MnTe) can be modulated coherently (i.e. without energy dissipations) with characteristic frequencies up to the tens-of-THz regime by photo-inducing magnons \cite{10, 12}. Applying such a magnetic manipulation to MnTe, in view of the coupling between sublattice magnetisation and band-gap, is expected to result in coherent oscillations of the band-gap energy. Such an effect could be employed to modulate the transport properties of a semiconductor at THz frequencies and, even, the emission wavelength of semiconducting laser diodes, whose active mediums exhibit the effect reported in our manuscript. Alternatively, the scenario of a transistor can be envisioned: the current flowing through such a device would strongly be dependent on the band-gap, whose energy could be modulated at THz frequency by generating magnons. In the specific case of MnTe, the magnetic phase is robust enough that such effects may be exploited even at room temperature, making this system technologically relevant. We note that the coupling of magnetism and optical properties is not limited to \(\alpha\)-MnTe but it is also reported in the zinc-blende phase of MnTe \cite{27, 36} and in other semiconductors, such as EuTe \cite{46} and EuO \cite{47}.

**Author contributions**

DB and MC conceived the project, DB coordinated the project with contributions of MC. The sample was grown by GS and AB carried out the conventional characterization. MT and FM performed the absorption spectroscopy measurements and analysed the data. GSU developed and evaluated the theoretical model. DB and MC wrote the manuscript with contributions from all the authors.

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