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Stability Study and Modelling of a Pilot Controlled Regulator

El Golli Rami1*, Bezian Jean-Jacques3, Grenouilleau Pascal2, Menu François2

17, Rue Imam Abou Hanifa, Menzeh 7, Ariana, Tunisia; 2Gaz De France-Research & Development Division, 361 avenue du président wilson, Saint Denis La Plaine Cedex, France; 3Ecole des Mines d’Albi, Campus Jarlard 80013 Albi cedex, France.

Email: clinatun@yahoo.fr

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ABSTRACT

With the increase of gas consumption and the expansion of the associated distribution network, Gaz de France set up a research program to develop a methodology and a library of models to study the stability of any type of pressure regulator. The pressure level is controlled by pressure regulating stations. The objective of this study is to point out the working conditions that lead to instabilities. Some experiments and numerical simulations have been carried out to identify the relative influence of several parameters on the amplitude of oscillations. It turned out from measurements and simulations that the amplitudes of the downstream pressure are especially sensitive to the upstream pressure and to the size of the downstream volume.

Keywords: Regulator, Stability, Regulation, Simulation, Experimental Design, Pumping

1. Introduction

Gaz de France is involved in the importation, transmission and distribution of natural gas throughout France. To perform these tasks, the Research and Development Division works on the improvement of all the technical systems used along the gas chain: from gas extraction and transmission to the consumer end-user. From the transmission natural gas network to gas customers appliances, the pressure is decreased in several steps by Pressure Regulating Stations (Figure 1).

The main functions of these systems are:
- to decrease and control the pressure
- to meter gas volumes
- to protect the outlet network against overpressure

The first function is performed by a pressure regulator, the second one by a meter and the last one by shut-off and/or relief valves.

Although the technology and physical phenomena at work in regulators are fairly well known in terms of static performance, regulators are sometimes affected by operating instabilities [1,2] which can generate serious problems for operators: metering perturbation, shut-off devices closing or relief valves opening [3,4]. The pressure regulators are reliable enough to maintain a stable pressure level in steady conditions. However, in some specific configurations, some instabilities are observed downstream of the pressure regulator: the downstream pressure is not properly controlled and oscillates around the set point with very high amplitude. This phenomenon is called “pumping”. When such problems occur, operators have to go to the pressure regulating station, diagnose the situation and search for a solution by applying empirical rules, which can be different from case to case.

Several studies were carried out in the past in order to characterise the behaviour of regulators [5-7]. However, the conclusions were not easy to transmit to operators and difficult to generalise to the large number of devices used in the field. The study presented in this paper aims to provide mathematical models and experimental analysis for a common pilot controlled regulator. Both numerical simulations and experimental measurements have been carried out to predict the behaviour of this pilot

Figure 1. Scheme of a pressure regulating station.
controlled regulator and to determine the operating conditions that avoid instabilities.

Computer simulation results are compared with experimental measurements to provide validation guarantee validity of the mathematical model. Furthermore, the model will help to generalise the conclusions of this study to the most frequent regulators in the field.

2. Experimental Method

The experimental approach consists of extracting a pilot controlled regulator to install it on a test bench and to make it undergo a whole series of requests in order to determine the influence of several geometrical parameters or adjustments on the oscillations of the downstream pressure. To plan the tests and interpret the results, the method of experimental designs [8,9] was used.

2.1. Pilot Controlled Regulator Design

A regulator consists of a controlled valve, here a movable plug, which is positioned in the flow path to restrict the flow. The controlled valve is driven by an actuator: a diaphragm, dividing a casing into two chambers, providing the thrust to move the controlled valve. One chamber is connected to the downstream volume through a sensing line and the pressure induced force exerted on the diaphragm is balanced by the set value of the downstream pressure.

Pilot controlled regulators work pneumatically with power autonomy and there are regulators in which the net force required to move the actuator is supplied by a pilot. The thrust is balanced by a controlled pressure: in this example, the auxiliary pressure (Pam) set in the lower casing (Figure 2).

Thus, a pilot controlled regulator is composed of:

- a controlled valve: The movable part of the regulator which is positioned in the flow path to restrict the flow through the regulator,
- an actuator: The mechanism that makes the controlled valve move depending on the pressure in the two chambers,
- a pilot: its role is to compare the downstream pressure (Pa) communicated to it by the sensing line. It operates on the main regulator by using the auxiliary pressure (Pam) which makes the actuator move in the desired direction,
- a pilot supply regulator: its role is to make the regulation independent from the upstream pressure and to provide a constant driving pressure (Pmc),
- an actuator case: The house of the actuator. When the pressure in each chamber is different from atmospheric pressure, the chamber at the highest pressure is called the “motorized chamber”,
- reject and sensing line: The lines that connect impulse points to the regulator. The line with no internal flow is called the “sensing line”; the one with an internal flow rate is called the “reject line”.

![Figure 2. Schematic of pilot controlled regulator (1: main regulator, 2: pilot supply regulator, 3: pilot, 4: creeper valve).](image-url)
the pilot. In fact, prior to the pilot, another direct acting regulator, the pilot supply regulator, prevents upstream disturbances by reducing the upstream pressure down to the motorizing pilot pressure (Pmc) (Figure 2).

To sum up, a pilot controlled regulator is composed of three regulators: the main regulator, the pilot and the pilot supply regulator. It is also fitted out with several sensing lines and a valve which called the pilot restrictor. This restrains the flow between the pilot regulator and the downstream pipe.

2.2. Experimental Set-Up

The regulators in test are devices with a nominal diameter of 50 mm. The test bench is able to reproduce the real working conditions of the regulator (flow-rate up to 10000 m³ (n)/h—inlet pressure up to Pe = 50 bars—outlet pressure controlled at Pa = 4 bars). Basically the arrangement consists of a first regulator located upstream which controls the inlet pressure, then the regulator being tested, and finally a piping system that enables provision of a variable capacity of the downstream buffer connected to a flow control valve that settles the load flow rate (Figure 3).

2.3. Experimental Tests

A test is done in two steps. The first step called initialisation, consists of opening the flow control valve gradually until the pressure downstream and the constant driving pressure (for a pilot controlled regulator) reach their set point. At the end of initialisation, the flow obtained is almost established.

After having fixed all the parameters on the bench (flow rate, inlet and outlet pressure, buffer size, length of the sensing lines, the driving pressure, opening of pilot restrictor), having reached their set point and having brought the regulator to stable operating conditions, we create a disturbance which consists of decreasing the flow rate of 1000 m³ (n)/h in a short time in order to trigger pressure oscillations. As shown in Figure 4, the test consists of recording and observing the oscillations of the downstream pressure. The amplitude and frequency of oscillations depend on all these parameters. The influence of all of them has to be studied, but to limit the number of tests; we applied an experimental design approach.

3. The Numerical Approach

The second part of the study consisted of developing an analytical model. It was considered that a better understanding of the physical phenomena involved is an appropriate method to define the operating conditions that maintain a suitable level of pressure for the regulator tested and then to extend the conclusions to any regulator. The physical model of a pilot controlled regulator requires several approximations that will have to be validated by comparisons of simulations and measurements.

The modelling of the gas behaviour with the different components of the regulator is quite complex because the physical phenomena involved (turbulence, compressibility, fluid-structure interactions, unsteadiness, etc.) remain challenges for numerical simulation. The applied modelling corresponds to the usual approach. It consists in breaking down the system to a set of subsystems reduced to their essential behaviours, making assumptions, approximations and mixing empirical and analytical approaches. At the lower level, the main subsystems are:

- the fluid systems
- the solid mechanical elements of the regulator itself
- the flow through the valves
3.1. Generic Equations of the Hydraulic Models

Very few publications deal with the modelling of dynamic gas systems [10]. Most studies in fluid mechanics concern stationary problems or are based on a linearized approach in the vicinity of a working point. These models are not relevant to a gas pressure regulator since the flow direction in the process lines is likely to change at any time.

Thus, the usual pressure drop approach is not sufficient to simulate the oscillations which are partly due to the time delay induced by gas inertia in pipes and chambers. Only accounting for pressure drop and compressibility effects does not enable simulation of the oscillations. The method for modelling flow in pipes is presented below.

The flow field is given by the flow velocity $u$, the pressure $P$, the density and the temperature $T$. The model is based on equations of the one-dimensional flow of a compressible, viscous, Newtonian fluid that are derived from the conservation of mass, momentum and energy completed with the equation of state [11].

Conservation of mass

The difference between the mass flow rate entering and leaving a control volume induces changes in density, this leads to the equation:

$$\frac{d\rho}{dt} + \frac{d(\rho \cdot u)}{dx} = 0 \tag{1}$$

Conservation of momentum

The equation of motion is derived from Newton’s law. We consider here only the pressure and friction forces which act on the boundary of the fluid domain. The forces acting on the mass of fluid such as gravitational effects are not taken into account. We then obtained the following simplified form of the Navier Stokes equations:

$$\int \frac{\partial \mathbf{u}}{\partial t} \, d\Omega + \int \mathbf{u} \cdot \mathbf{v} \, dS = \int -P \, v \, dS + \int \frac{\partial \mathbf{P}}{\partial x} \, dS \tag{2}$$

This equation can also be written in local form:

$$\frac{d(\rho \cdot u)}{dt} + \frac{d(\rho \cdot u^2)}{dx} = -\frac{dP}{dx} - \frac{\lambda}{2 \cdot D} \rho \cdot |u| \tag{3}$$

The first two terms represent the inertia of the gas, the third, pressure forces and the fourth, friction forces. However:

$$\frac{\lambda}{D} \approx \frac{\xi}{L} \quad \text{and} \quad q = \rho u S \tag{4}$$

where $\xi$ is estimated using the Idel’cik correlation [12].

Thus, for an element of cross sectional area $S$, and characteristic length $L$, and using the two previous Equations (4), the generic equation of conservation of momentum used for the hydraulic models is written in the form:

$$\frac{1}{S} \frac{dq}{dt} + \frac{1}{S} \frac{d(q \cdot u)}{dx} = -\frac{dP}{dx} - \frac{\xi}{2 \cdot L} \rho \cdot u \cdot |u| \tag{5}$$

Conservation of energy

The energy balance can be written in a local formulation [13]:

$$\rho \left( \frac{\partial e}{\partial t} + u \cdot \frac{\partial e}{\partial x} \right) = \frac{\partial P}{\partial x} + \frac{\partial \tau}{\partial x} \frac{\partial u}{\partial x} - \frac{\partial q}{\partial x} \tag{6}$$

This formulation completed with the balance of kinetic energy (the product of Equation (2) and velocity) yields:
Finally, introducing the enthalpy defined by
\[ e = h + \frac{P}{\rho} \quad \text{and} \quad dh = \left( \frac{P}{\rho} \right) - C_{pdT} + (1 - T\beta) dP \]  
(8)
Where \( \beta \) represents the coefficient of thermal expansion:
\[ \beta = -\frac{1}{\rho} \left( \frac{d\rho}{dT} \right) \]  
(9)

The general energy equation can then be written:
\[ \rho C_p \left( \frac{\partial T}{\partial t} + u \frac{\partial T}{\partial x} \right) = -S(\phi_\text{out} - \phi_\text{in}) + T\beta \frac{dP}{dt} + \tau \]  
(10)

Equation of state

The above Equations do not give a complete description of the motion of a compressible gas. The relationship between pressure variations and changes in temperature and density needs to be set through an equation of state. We used the usual form:
\[ \frac{P}{\rho} = ZRT \]  
(12)

\( R \) is the gas constant and \( Z \) the compressibility coefficient. The well-known perfect-gas (\( Z = 1 \)) approximation may not be suitable for this application since the pressure can vary quite widely between upstream and downstream. For that reason the equation of state derived by Peng-Robinson [14] has been used:
\[ Z^3 - (1 - B)Z^2 + (A - 3B^2 - 2B)Z - (AB - B^2 - B^3) = 0 \]
With:
\[ A = \frac{a \alpha P}{RT^2} \quad \text{and} \quad B = \frac{b P}{RT} \quad \text{for} \ T = 0.7 \cdot T_c \]
\[ a = 0.45724 \cdot R^2 \cdot \frac{T_c^2}{P_c^2} \]
\[ b = 0.0778 \cdot R \cdot \frac{T_c}{P_c} \]

3.2. Generic Equations of Mechanical Models

There are two different mechanical models for the three regulators. The same model is used for the pilot and the pilot supply governor, which are direct acting devices. In fact, the nature of the forces acting on the diaphragms of these regulators is identical: pressure force in upper casing (the motorization chamber) and spring stiffness in lower casing. The pre-stressed spring of the pilot governor allows regulation of the pilot feed pressure whereas the characteristic of the pilot’s spring is modulated to adjust the downstream pressure. The approach is somewhat different for the main regulator that integrates pressure forces on both sides of the diaphragm.

Taking into account pressure forces, spring stiffness and damping the motion of the plug is driven by:
\[ M \ddot{y} = \Delta P_s - K(x - x_o) - Mg - F_s \cdot \text{sign}(\dot{y}) - C_f \dot{y} \]  
(14)
\( \Delta P \) denotes the pressure difference between both sides of the diaphragm, \( s \) is the diaphragm’s area, and \( F_s \) is the friction force resulting from the relative motion between the actuator and an O-ring seal (assumed to be Coulomb friction).

3.3. Generic Equations of Valve Models

There are two different models to represent the flow through the valves based on the pressure on both sides of the valve. The flow conditions vary widely whether sonic conditions are reached or not. The modelling for both sonic and subsonic valves are based on classical results and specific assumptions for a global approach. The model is based on established isentropic flow of a perfect gas. Following Liepmann and Roshko [15], the energy equation leads to:
\[ \frac{1}{2} \gamma^2 = \gamma \frac{P_1}{\rho_1} \left( 1 - \left( \frac{P_2}{P_1} \right)^{\frac{\gamma - 1}{\gamma}} \right) \]  
(15)
So assuming isentropic flow:
\[ \frac{P_2}{P_1} = \left( \frac{\rho_2}{\rho_1} \right)^\gamma \left( \frac{T_2}{T_1} \right)^{\frac{\gamma - 1}{\gamma}} \]  
(16)
and considering that the pressure loss is quite small.
The values of the parameters $K_G$ and $K_G'$ depend significantly on the shape of the plug which is usually quite complex. They had to be determined for each valve by experiments. In practice for natural gas, it is usually considered that $K_G' = K_G/2$.

### 3.5. The Global Model

The global model is an assembly of three functional models (Figure 5) that represent: the downstream valve (VANAV), the downstream volume (AVAL) and the regulator itself (DETEND). The command statements are:

- Upstream pressure and temperature
- Setting of springs of the pilot and supply regulator
- The opening of the downstream valve.

The downstream valve is an elementary model that estimates the flow rate as a function of the valve opening and the pressure in the downstream volume. The downstream volume is an assembly of elementary models: pipes, junction points to connect to process lines. The pilot controlled regulator model (Figure 6) is a complicated hierarchical model gathering models for the pilot, the pilot supply governor, the main regulator, pipes,
chambers and valves: two different sonic valves for the main regulator and the pilot supply regulator, and two subsonic valves: one for the creeper valve and the other for the pilot regulator (Figure 6).

4. Application

Figure 7 shows a pilot controlled regulator. The upstream pressure is expanded through a plug. It is composed of a pilot supply regulator whose role is to return the regulation quality independent of the upstream pressure and to provide the constant driving pressure (Pmc). It is also composed of a pilot the role of which is to compare the downstream pressure (Pa), which is linked to it by the sensing line to the set point pressure, and according to the variation observed, it operates on the main regulator by using the auxiliary pressure (Pam), which moves the actuator in the desired direction.

In order to validate the model of the regulator, the numerical results are compared to measurements on the test bench. It is generally noted that the numerical model reproduces, with a satisfaction level of accuracy, the oscillations observed on the test bench (Figure 8).

4.1. Some Parametric Studies of Regulator Stability

It turned out from the complete study that the amplitudes of oscillations vary widely with some parameters, in particular with downstream volume. They depend also on the opening of the creeper valve and on the upstream pressure.

- Downstream volume effect

To study the effect of the downstream volume, we have fixed the other influence parameters (Pe = 20 bar, Pmc = 5.5 bar) and vary the downstream volume. The amplitudes and frequencies of oscillations are reduced for the highest downstream volume (Figure 9). Downstream volume was increased by 0.04 m$^3$ to 2.5 m$^3$ and calculations as well as the tests showed that the size of downstream volume was important for small volumes. It is thus imperatively to avoid downstream volumes lower than 1 m$^3$ for which the oscillations increase dramatically (about 600 mbar).

- Upstream pressure effect

According to Figure 10, an increase in upstream pressure (Pe) tends to raise the amplitudes of oscillations. This figure also gives a global illustration of the influence of the driving pressure (Pmc) on the amplitudes and confirms that its effect is not very sensitive.

- Creeper valve effect

Another very important feature is the opening of the creeper valve. Three different openings of creeper valve have been tested: 0.25; 0.5 and 1 (turn) for four cases. Increasing the opening of the creeper valve for all the cases, raise slightly the amplitudes (Figure 11).

The other parameters considered have less influence on the regulator stability. For example the lengths of
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Figure 7. Schematic of the pilot controlled regulator.

Figure 8. Simulation and measurement of downstream pressure for; V = 0.04 m$^3$; Pe = 20 bar; q = 4000 m$^3$/h.

Measurement: Amplitude: 470 mbar

Simulation: Amplitude: 488 mbar
Figure 9. Effect of the downstream volume on the amplitude of downstream pressure.

Figure 10. Effect of the upstream pressure on the amplitude of the downstream pressure.

| Case | Downstream volume: \( V \) (m\(^3\)) | Upstream pressure: \( P_e \) (bar) | Driving pressure: \( P_{mc} \) (bar) | Flow rate : \( q \) (m\(^3\)(n)/h) |
|------|-------------------------------------|-----------------------------------|-------------------------------------|----------------------------------|
| 1    | 0.04                                | 20                                | 5.5                                 | 4000                             |
| 2    | 2.5                                 | 20                                | 5.5                                 | 4000                             |
| 3    | 0.04                                | 50                                | 5.5                                 | 4000                             |
| 4    | 2.5                                 | 50                                | 5.5                                 | 4000                             |

Figure 11. Effect of the opening of the creeper valve on the amplitude of the downstream pressure oscillations.
sensing lines, the opening of the antipumping valve. This feature has been confirmed by measurements and simulations.

5. Conclusions

The final objective of the study presented in this paper is to improve the process control of the pressure regulator that is to define the operating conditions that maintain a constant set pressure at small enough oscillations within tolerance field. For that purpose, numerical and experimental approaches have been performed.

The comparison of calculations and measurements, has confirmed the relevance of the modelling. From a qualitative and a quantitative point of view, the calculations are in good agreement with experiments. Generally, the amplitude of oscillations increases dramatically for small volumes ($V = 0.04 \text{ m}^3$) and higher upstream pressure. As regards to the other parameters such as opening of creeper valve and driving pressure, their influence on the oscillation downstream pressure is not very sensitive.

Other adjustment parameters such as length of sensing lines or opening of the antipumping valve, have only marginal influences on the regulator stability.

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NOMENCLATURE

\( C_f \) viscous damping (kg/s)
\( C_p \) specific heat at constant pressure (J/K/kg)
\( F \) friction force (N)
\( D \) pipe diameter (m)
\( e \) specific internal energy (J/kg)
\( g \) gravity acceleration (m/s²)
\( h \) specific internal enthalpy (J/kg)
\( K \) spring stiffness (N/m)
\( L \) pipe length (m)
\( M \) actuator mass (kg)
\( P \) pressure (Pa)
\( P_0 \) absolute pressure (1,013 bar)
\( Pa \) downstream pressure (Pa)
\( Pe \) upstream pressure (Pa)
\( Pmc \) driving pressure (Pa)
\( Pam \) auxiliary pressure (Pa)
\( R \) gas constant (J/kg/K)
\( s \) diaphragm area (m²)
\( S \) cross sectional area of pipe (m²)
\( T \) temperature (K)
\( V \) downstream volume (m³)
\( Z \) compressibility coefficient (-)
\( u \) fluid velocity (m/s)
\( x \) position along the pipe (m)
\( X \) actuator position (m)
\( \beta \) coefficient of thermal expansion (K⁻¹)
\( \varphi \) conductive heat flux (W/m²)
\( \lambda \) pressure loss coefficient per length (-)
\( \mu \) dynamic viscosity (Pa.s)
\( \rho \) gas density (kg/m³)
\( \xi \) pressure loss coefficient (-)
\( \tau \) shear stress (second⁻¹)
\( q \) mass flow rate (kg/s or m³(n)/h : m³/h at normal conditions)

Note: normal conditions are taken in absolute pressure of 1,013 bar and temperature of 0°C (273.15K)