A model for cortical rewiring following deafferentation and focal stroke

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INTRODUCTION

The theoretical standard model for developing cortical representations are self-organizing maps (SOMs, Kohonen, 1982). SOMs were also used to model lesion-induced remapping of the visual cortex after circumscribed retinal lesions (Kohonen, 2006; Xing and Gerstein, 1996a,b,c; Young et al., 2007). Recently, Kaiser simulated large cortico-cortical networks and analysed their robustness against lesions (Kaiser et al., 2007). Still, it is necessary to model the biological mechanisms that change connectivity after a lesion. These mechanisms are the formation of synapses due to axonal sprouting and spinogenesis as well as the loss of synapses by remodelling axonal terminals, varicosities and dendritic spines. An important driving force for network rewiring – as a main principle – is the need of every neuron to keep its firing rate within a functional, homeostatic range (Turrigiano, 1999; Wolff and Wagner, 1983; Wolff et al., 1989). The first models for a homeostatic structural network formation were independently proposed by Dammash et al. (1986, 1988) and van Ooyen (van Ooyen and van Pelt, 1994; van Ooyen et al., 1995). We joined the concepts of these two models to create a novel neural network model for activity-dependent structural plasticity. Early versions of this model used continuous representations of pre- and postsynaptic densities (Butz and Teichert-Noodt, 2006; Butz et al., 2006). The novelty of the present model is the discrete representation of individual axonal and dendritic elements that develop in an activity-dependent fashion. Synapses form by merging axonal and dendritic elements. Moreover, splitting and recombining synaptic elements is possible and allows for modelling synaptic rewiring. By forming, deleting and reorganizing synaptic elements, neurons reach a homeostatic level of activity. We applied our modelling approach to lesion-induced plasticity in the prefrontal cortex after juvenile trauma in gerbils (Butz and Teichert-Noodt, 2006) and more recently to synaptic rewiring associated with adult hippocampal neurogenesis (Butz et al., 2008). In the present study, we model synaptic rewiring in the cortical lesion projection zone (LPZ) after peripheral somatosensory (Merzenich et al., 1983, 1984) or focal retinal lesion (Keck et al., 2008). As we show here, the model is capable of reproducing the experimental data namely axonal sprouting from neurons bordering the LPZ (Darian-Smith and Gilbert, 1994, 1995) and re-innervating deafferented neurons. In addition, the LPZ in experiment as well as the model shows an increased amount of unstable spines (Trachtenberg et al., 2002). Using this model, we analysed different time courses of network reorganization. To this end, we define different starting conditions, such as homeostatically equilibrated networks representing mature cortical networks and non-equilibrated networks for a juvenile situation. Furthermore, we apply different external stimulation patterns onto reorganizing networks to predict the impact of stimulations, i.e. by physical training or pharmacological treatment during rehabilitation of neurological patients.

Structural plasticity beyond mere synaptic plasticity (LTP/LTD) is present not only during development but also in the mature brain (reviewed in Butz et al., 2009). Axonal terminals (Darian-Smith and Gilbert, 1994; DePaola et al., 2006) and dendritic spines (Fischer et al., 2000; Nägerl et al., 2004; Trachtenberg et al., 2002) are highly motile structures that respond to long-term shifts in neuronal activity, causing them to grow out or to retract. Individual spines and...
axons can merge to form functioning synapses (Knott et al., 2006; Toni et al., 2007) that, in turn, are stabilized by LTP and weakened by LTD (Engert and Bonhoeffer 1999; Yuste and Bonhoeffer, 2001). Weakened synapses can split apart again, whereby axonal and dendritic elements may undergo turnover (De Paola et al., 2006; Trachtenberg et al., 2002). Especially within cortical columns with densely packed axonal and dendritic branches, synaptic turnover among close-by axonal and dendritic specializations — so called 'potential synapses' (Stepanyants et al., 2002) — adds a high degree of freedom to reorganizing neural networks (Chklovskii et al., 2004) and likely affect neural information processing and memory formation (Mel, 2002; Poirazi and Mel, 2001). Whereas activity promotes axonal outgrowth, the postsynaptic interface is adapted in a homeostatic manner (Turrigiano, 2007; Turrigiano and Nelson, 2000; Turrigiano et al., 1994) to balance postsynaptic firing rates. Structural changes not only affect the cellular level but they also contribute to reorganizations on the cortical network level (Kilgard et al., 2002; Kind et al., 2002). However, as there remains a gap between experimental methods observing plastic connectivity of cell assemblies on the one side and anatomical maps and circuits on the other, it is still unclear to what extent structural plasticity affects anatomical map reorganization (Calford, 2002; Smirnakis et al., 2005). Nevertheless, there is ample evidence that cortical maps are shaped in an activity-dependent fashion during development (Hensch, 2005; Mrsic-Flogel et al., 2007), following a lesion (Darian-Smith and Gilbert, 1995; Giannikopoulos and Eysel, 2006; Merzenich et al., 1984) and due to extensive training (Bangert and Altenmüller, 2003; Kleim et al., 2002, 2004, 2007).

THE MODEL

We use a recurrent one-dimensional neural network with a ring topology. The network contains a total number of $N$ simple spiking neurons (Butz et al., 2008). $NE$ of them are excitatory and $N-NE$ are inhibitory. For all simulations of this study, we used $N=100$ neurons. According to the cortical situation, the ratio of excitatory and inhibitory neurons is 80 to 20%. By indexing each neuron, we obtain a spatially linear ordering. Every $NE/(N-NE)$ position we put one inhibitory neuron in between groups of excitatory neurons. For reasons of a better assessment and visualization, we put one inhibitory neuron in between groups of excitatory neurons. For reasons of a better assessment and visualization, we put one inhibitory neuron in between groups of excitatory neurons. For reasons of a better assessment and visualization, we put one inhibitory neuron in between groups of excitatory neurons.

A synapse consists of two parts, namely an axonal element (which can be an axonal terminal or varicosity), and a dendritic element (which can be a dendritic spine or any postsynaptic receptor plate on dendrites or soma) (Arellano et al., 2007; Fiala et al., 1998; Knott et al., 2006; Petrak et al., 2005; Wolff and Wagner, 1983; Ziv and Smith, 1996). In general, we refer to axonal and dendritic elements as synaptic elements. Depending on the type of the hosting neuron, all (axonal) presynaptic elements $A_i$ of any neuron $i$ are either excitatory for $1 \leq i \leq NE$ or inhibitory for $NE+1 \leq i \leq N$. However, on the dendritic site, each neuron $i$ with $1 \leq i \leq N$ can have a number of excitatory $D_{ijE}$ and inhibitory postsynaptic dendritic elements $D_{ijI}$. Synaptic elements can be found in a synapse or vacant (i.e. available for synapse formation). A new excitatory synapse forms when a vacant excitatory axonal element merges with a vacant excitatory dendritic element. Accordingly, a new inhibitory synapse forms when a vacant inhibitory axonal and a vacant inhibitory dendritic element merge. Depending on the spatial distance between two neurons, the probability for synapse formation $P_{ij}^{form}$ follows a Gaussian distribution:

$$P_{ij}^{form}(j) = e^{-\frac{(j-b)^2}{2\sigma^2}} \quad \text{with} \quad 1 \leq i,j \leq N$$

We set $P_{ij}^{form}(j) = 0$ for $j = i$ which prevents direct recurrent synapses indicated by zero entries along the main diagonal of the connectivity matrix $C$. A distant-dependent declining probability for synapse formation implicitly models a growth process as synapses between neighbouring neurons are more likely to be formed than between distant neurons. As cortical excitatory neurons in general have more extended axonal trees than local inhibitory interneurons, we chose $\sigma = 100$ for excitatory neurons ($1 \leq i \leq NE$) and $\sigma = 25$ for inhibitory neurons ($NE+1 \leq i \leq N$). This kernel gives rise to an initial connectivity as shown in Figure 2A. In total, on average each neuron receives up to 2000 synapses. This initial connectivity models a transient state during network development where the gross morphology of the network is present already; the single neuron, however, has not balanced its activity to a homeostatic level yet. Independent of starting conditions though, the amounts of excitatory and inhibitory synapses equilibrate when the network reaches homeostasis.

In order to model changes in network connectivity depending on the bioelectrical activity of neurons, we introduce two time scales: On a short, functional time scale (referred to by $t$) we regard connectivity constant and neuronal activity changes. On a larger, morphogenetic time scale (referred to by $T$), changes in mean activity drive changes in connectivity until all neurons have reached a homeostatic equilibrium. Therefore, the algorithm proceeds in three steps:

1. Update in neuronal activity

The firing probability of a neuron $i$ depending on the neuron's synaptic input $X_i$ is updated in each functional time step $t$ by using a standard sigmoidal function:

$$F_{ij}^{t+1}(X_i^{t+1}) = \frac{1}{1 + e^{-\frac{X_i^{t+1} - \theta}{\beta}}} \quad \text{with} \quad 1 \leq i \leq N,$$
where $\theta$ defines the firing threshold and $\beta$ the steepness of the sigmoid and thereby the noise level of the neuronal firing. The neuron fires in one time step $t$ if its firing probability $F_i$ is greater than a uniformly distributed random number $r_i$:

$$z_i^{t+1} = \begin{cases} 1 & : F_i^{t+1} \geq r_i, \quad \text{with} \quad 1 \leq i \leq N \\ 0 & : F_i^{t+1} < r_i \end{cases} \quad (4)$$

The firing of an excitatory presynaptic neuron $j$ ($1 \leq j \leq NE$) increases the postsynaptic input $X_i$ and the firing probability $F_i$ of all postsynaptic neurons $i$ ($1 \leq i \leq N$), respectively, and an inhibitory presynaptic neuron $j$ ($NE+1 \leq j \leq N$) decreases them.

$$X_i^{t+1} = I_i^{t} + \sum_{j=1}^{NE} c_{i,j} \cdot z_j^t - \phi \sum_{j=NE+1}^{N} c_{i,j} \cdot z_j^t, \quad \text{with} \quad 1 \leq i \leq N \quad (5)$$

Each neuron receives intrinsic and external input $I_i^t$. The intrinsic input is generated within the network as the sum over all active presynaptic neurons $j$ ($1 \leq j \leq N$) times the total number of (binary) synapses $c_{i,j}$ from neuron $j$ to $i$. It turns out that a condition for neuronal activity homeostasis is that each neuron is going to receive as many excitatory as inhibitory synapses. With a physiological ratio of 80% excitatory to 20% inhibitory neurons, this finding implicates that at equilibrium each neuron will receive $NE/(N-NE) = 4$ times more outgoing inhibitory synapses per inhibitory neuron than outgoing synapses per excitatory neuron. Interestingly, such a ratio is found in cortical connectivity, too (compare Stepanyants et al., 2009). Therefore, we define $\phi = NE/(N-NE)$. Consequently, networks used here initially have an equilibrated network activity on average but the individual neuron may still deviate considerably from a homeostatic level of activity.

Extrinsic input $I_i^t$ models thalamic (or other subcortical) afferences carrying sensory input to cortical neurons. Normal input is provided to each neuron in the form of a random Poisson-generated spike train.

2. **Updating the number of axonal and dendritic elements and synapse deletion**

As we extensively reviewed in Butz et al. (2009), neuronal activity by changing intra-cellular calcium concentration has considerable impact on neuronal morphology (Mattson et al., 1988; Wolff and Wagner, 1983; reviewed in Lipton and Kater, 1989; Mattson, 1988): On the postsynaptic side, neurons adapt their input connectivity in a homeostatic manner – not only with respect to changes in synaptic weight (Turrigian et al., 1998) but they also increase and decrease the number of excitatory (Kirov et al., 2004) and inhibitory spines (Knott et al., 2002). In our model, changes in mean activity drive changes in the number of synaptic elements. We therefore use a sliding average of the firing probability $\bar{F}_i$ over the last 1000 functional time steps. The actual value of the desired moderate firing probability is not critical as networks also converge against different values. As we are not modelling the specific bioelectrical properties of cortical neurons and specific cell types, 0.5 is the most general assumption for a moderate firing rate that a model neuron would strive towards. Every 100 functional time steps we do an update in connectivity (morphogenetic time step). In each morphogenetic time step $T$, the deviation from the desired value $\Delta F^t = \bar{F}_i - 0.5$ induces changes in the number of excitatory and inhibitory dendritic elements denoted by $\Delta D^{exc}$ and $\Delta D^{inh}$, respectively, for all neurons $i$ ($1 \leq i \leq N$). If $\bar{F}_i$ is too high, neurons will decrease the number of excitatory postsynaptic elements $D^{exc}$ in order to loose excitatory synapses and, at the same time, will increase the number of inhibitory postsynaptic elements $D^{inh}$ to have a higher chance to obtain more inhibition. Neurons with a low $\bar{F}_i$ will instead increase $D^{exc}$ and decrease $D^{inh}$ according to Eqs. 6 and 7:

$$\Delta D^{exc} = -\nu \cdot \Delta F^t \cdot D^{exc}, \quad \text{with} \quad 1 \leq i \leq N \quad (6)$$

$$\Delta D^{inh} = -\nu \cdot \Delta F^t \cdot D^{inh}, \quad \text{with} \quad 1 \leq i \leq N \quad (7)$$

On the postsynaptic side, activity promotes axonal outgrowth (reviewed in Rekart et al., 2007; Wolff and Missler, 1992). In our model, changes in the number of axonal elements $\Delta A_i$ for excitatory and inhibitory neurons ($1 \leq i \leq N$) are thus activity-dependent by the following rule:

$$\Delta A_i = \nu \cdot \Delta F^t \cdot A_i, \quad \text{with} \quad 1 \leq i \leq N \quad (8)$$

In Eqs. 6–8, the speed of morphogenesis is determined by a parameter $\nu$ that defines the sensitivity of a neuron to respond with morphogenetic changes to alterations in its average activity.

In each morphogenetic step $T$, we change $D^{exc}$, $D^{inh}$ and $A_i$ by $\Delta D^{exc}$, $\Delta D^{inh}$ and $\Delta A_i$, respectively. For a neuron $i$ ($1 \leq i \leq N$), if a certain number of synaptic elements, for example $\Delta D^{exc}$, the dendritic excitatory elements from neuron $i$, are to be deleted, we select them randomly from the total number of dendritic excitatory elements $D^{exc}$ of this neuron. Vacant synaptic elements are immediately lost if chosen for deletion. However, we define that bound synapses have gained stability (i.e. by long-term potentiation) and, therefore, deletion of synapses has a lower probability than synapse formation. We define for all neurons:

$$H_{ij}^{del} = 0.1, \quad \text{with} \quad 1 \leq i, j \leq N \quad (9)$$

If a random number from a uniform distribution is lower or equal to $H_{ij}^{del}$ the synapse is unstable. In this case, the synaptic junction of axonal and dendritic element breaks apart and the axonal or dendritic element to be deleted is eliminated. The vacant synaptic element, however, remains and becomes available for synapse formation again (see below). The number of synapses $c_{i,j}$ between neuron $j$ and $i$ is reduced by one for each synapse that gets deleted. After changing the number of axonal and dendritic elements, the total number of bound as well as vacant synaptic elements is updated.

3. **Synapse formation**

In order to form new synapses, vacant axonal elements randomly select a vacant dendritic element. For this, we firstly distribute all axonal elements of the excitatory neurons $j$ with $1 \leq j \leq NE$ onto the excitatory dendritic elements of all neurons $i$ with $1 \leq i \leq N$. Those synaptic elements which do not
fit a target are left over. Depending on the distance between the presynaptic neuron $j$ and the postsynaptic neuron $i$, a new excitatory synapse is formed with probability $P_{ij}^{\text{form}}$. As $P_{ij}^{\text{form}}$ is defined to be 0 for $i = j$, axonal and dendritic elements of the same neuron will not form synapses. If a random number is smaller or equal $P_{ij}^{\text{form}}$ the synapse is formed which increases the connectivity $c_{ij}$ (1 ≤ $i$ ≤ $N$ and 1 ≤ $j$ ≤ $NE$) by 1. Multiple synapses can co-exist between two neurons. In case a potential synapse is not formed, both synaptic elements remain vacant and potentially undergo synapse formation later. Secondly, inhibitory synapses are formed among vacant axonal elements of inhibitory neurons $j$ with $1 + NE$ ≤ $j$ ≤ $N$ and inhibitory dendritic elements of all neurons $i$ with 1 ≤ $i$ ≤ $N$, accordingly. After synapse formation, we update the number of vacant synaptic elements. The total number of synaptic elements, however, does not change by synapse formation.

For the next morphogenetic step, the algorithm continues with step 1 (update in neuronal activity).

**Deafferentation and stimulation**

We assume that the thalamic input is the main excitatory drive for neurons in primary sensory cortices. Due to a peripheral somatic or retinal lesion, a somatotopic subset of cortical neurons lose their inputs – we refer to these neurons as LPZ. In the model, we reduced the activity of the neurons inside the LPZ to resting levels and subsequently observed how these neurons regain homeostasis by forming additional synapses with neurons outside the LPZ. It turned out that the time to recover depends on the size of the lesion but also on the age of the network (Figure 1). Whereas juvenile networks spontaneously reorganize and fully compensate for the loss of input, adult networks ($T > 1000$) are less plastic and not able to compensate for lesion sizes larger than 15 neurons. Thus, we set lesions of a larger size (21 neurons, 16 excitatory and 5 inhibitory) in adult networks ($T = 1000$) and investigate how to enhance their plastic capacities in order to make them compensate for the lesion though. For this, we applied external stimulations to those neurons with intact input. The stimulation was summed to the external input $I_i$ and used to be much stronger than random input. Here we use $F = 100$ which is less than 1% of the synaptic input of the neuron. We used different protocols for stimulating lesioned networks. That is, stimulation was either provided continuously after the lesion or interrupted by pauses during which the neuron only receives the random external input. As continuous stimulation is less effective for synapse formation and network reorganization, we tested different combinations of stimulation and pause times for their effectiveness.

**RESULTS**

**SMALL CHANGES FOR HOMEOSTATIC EQUILIBRIUM**

To achieve homeostasis during normal development – which means that the average firing rate $\bar{F}$, converges to a homeostatic equilibrium for all neurons $i$ (1 ≤ $i$ ≤ $N$) – relatively small changes in connectivity are sufficient. We start with an initial connectivity (Figure 2A) that may arise from an early activity-independent growth process (not shown). We find that a predefined columnized connectivity is essentially maintained (Figures 2B,C) because changes in connectivity are rather local (Figure 2C) which is an important physiological precondition of the model. The course of synapse numbers per neuron over time shows that there is only little change in synapse numbers compared with the initial and homeostatic connectivity (Figure 2D). Therefore, the network development towards activity homeostasis is predominantly a rewiring of connections. Following the course of activity in the network (Figure 2E) existing synapses are either pruned or new synapses are formed. Synapses can only be formed if both vacant axonal and dendritic synaptic elements are available. Although

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**FIGURE 1 | Age-dependent recovery.** Here, the ‘recovery’ time, until all neurons are in a homeostatic regime again, is shown for different onsets of the lesion from 1 (1T) to 1000 morphogenetic time steps (1000T). Different sizes of the lesion (3, 11, 15, 17, 21, 25 and 31 neurons) were tested for the impact of the lesion size on the recovery time. Lesions larger than 15 neurons show an exponential increase in recovery time for later onsets. Stable networks do not completely compensate for lesions of that size within the maximum simulation time of 5000 morphogenetic time steps. Lesions equal or larger than 31 neurons are not fully compensated spontaneously independent of when the lesion sets in.
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formed (Figure 3C). By contrast, neurons outside the LPZ show a course of mean activity and mean synapse numbers (Figure 3D) that is comparable to the normal juvenile development. Thus, the deafferentation predominantly affects the homeostasis of neurons inside the LPZ but not so much outside the LPZ. There are strong fluctuations in mean activity and synapse numbers inside the LPZ until neurons regain homeostasis. We further wanted to know which neurons (inside or outside the LPZ) contribute to the formation of synapses onto those neurons that lost their inputs. Neurons inside the LPZ have vacant excitatory dendritic elements indicating their demand for additional synaptic input (Figure 3E) but they do not offer vacant axonal elements as activities are too low. Instead, neurons outside the LPZ generate high numbers of vacant axonal elements (Figure 3F) that can be used for synapse formation. Consequently, vacant dendritic elements on neurons in the LPZ form additional synapses by binding to available axonal elements from neurons outside the LPZ. Here again, the presence of vacant dendritic elements constitutes a kind of critical period in which neurons can form synapses which ends when neurons turn into homeostasis – meaning that afterwards further synapse

JUVENILE NETWORKS SHOW SPONTANEOUS COMPENSATION FOR LESIONS

Neurons that lost their external input rely on the formation of additional input synapses with neurons outside the LPZ to rebalance their activity levels again. Therefore, we have assessed how many synapses on neurons inside and outside the LPZ were formed. It turned out that there is a substantial increase in synapses onto neurons within the LPZ in response to the lesion (Figure 3A). Outside the LPZ, neurons overall got fewer synapses and do not show a considerable increase in synapse numbers after the lesion (Figure 3B). As expected, the mean activity of the neurons in the LPZ drops down dramatically after the lesion but neuronal activities turn back into a homeostatic regime as additional synapses are

FIGURE 2 | Juvenile development. The three panels (A–C) show the network connectivity before (A) and after reorganization (C) as well as the absolute change in connectivity (B). The colour coding of each square (see colour bars below panels) indicates the number of binary synapses from neuron j (column) to neuron i (row) [A,C] or the change in synapses numbers [B], respectively. (D) Shows the time course of excitatory synapse numbers per neuron for 12 individual simulations. (E) Shows the course of mean firing probability (black curve) and mean (excitatory) synapse numbers (red curve) averaged over the simulations in (D). (F) Shows the mean amount of vacant synaptic elements over time averaged over the simulations in (D).
formation is hardly possible. A sufficient surplus of axonal offers from neurons outside the LPZ and a large critical period with vacant dendritic elements inside the LPZ are the hallmarks of an optimal spontaneous reorganization in juvenile networks.

**ADULT NETWORKS SHOW INSUFFICIENT SPONTANEOUS COMPENSATION AFTER A LESION**

The development of synapse numbers in adult networks after a lesion, by contrast, is dominated by an overall loss of synapses inside as well as outside the LPZ (Figures 4A,B). Consequently, neurons inside the LPZ are not able to rebalance their activity again to homeostasis (Figure 4C). Neurons outside the LPZ remain in a homeostatic regime although they lose excitatory synapses, too (Figure 4D). The development of large amounts of vacant excitatory dendritic elements indicates a strong demand for excitatory input for neurons within the LPZ (Figure 4E). Accordingly, no vacant axonal elements are offered by neurons within the LPZ as neuronal activities are low. Neurons outside the LPZ form vacant axonal elements which are though not sufficient in order to supply the demand of neurons inside the LPZ. This raises the question of how to optimize reorganization in adult networks after a lesion. The most obvious approach is therefore to enhance activity...
of neurons outside the LPZ by increasing their (intact) external input $I^e$ in order to promote axonal sprouting and compensatory synapse formation.

**ACTIVITY STIMULATION PROMOTES AXONAL OUTGROWTH BUT NO LASTING GAIN IN SYNAPSE NUMBERS**

Figure 5A reveals a transient (~500 morphogenetic time steps) increase in synapse numbers per neuron inside the LPZ coinciding with the onset of a continuous stimulation. Outside the LPZ synapse numbers slightly decrease (Figure 5B) but significantly less than for simulations without stimulation. At first sight, the stimulation might be, therefore, considered as beneficial for promoting compensatory network reorganization. However, when switching off stimulation at $T = 2700$ (second vertical line in the panels of Figures 5 and 6), synapse numbers drop down dramatically to almost as low values as before the lesion. Coinciding with the loss of synapses there are two major decreases in mean activity which is at $T = 1000$ (due to loss of input activity) and at $T = 2700$. 

*Figure 4 (Adult lesion).* A subset of 16 excitatory (and 5 inhibitory) neurons lost their input at time step 1000 (vertical line) when network connectivity is stable (‘adult networks’). Left column again summarizes changes within the LPZ whereas the right column shows the same for neurons outside the LPZ. (A,B) Course of excitatory synapse numbers per neuron over time from 12 individual simulations. (C,D) Course of mean firing probability (black curve) and mean excitatory synapse numbers (red curve) averaged over simulations in (A,B). There is an overall loss in synapses numbers in the LPZ as well as in intact regions. Thus, neurons which lost their input will not reach homeostasis after the lesion again. However, neurons that kept their input are able to regain homeostasis. (E,F) Gives the development of synaptic elements over time averaged over the simulations in (A,B). Within the lesion projection zone there is a lack of vacant axonal elements but a high demand of synaptic input expressed by an increased number of vacant excitatory dendritic elements. Neurons outside the lesion projection zone respond with moderate axonal sprouting.
We find again that the presence of vacant dendritic elements inside the LPZ (Figure 5E) indicates the time window ('critical period') in which their hosting neurons can form new synapses. This phase is shorter than in networks without stimulations and also shorter than for lesions in juvenile networks. Consequently, a fast decay in available excitatory dendritic elements is the very limiting factor for synapse formation that causes an insufficient network reorganization.

Moreover, the expected benefit of the stimulation promoting axonal outgrowth is also limited. This is because stimulation does (which is caused by the turn off of stimulation). While the stimulation lasts, mean activities of the neurons inside the LPZ (Figure 5C) turn into homeostasis. However, when stimulation is turned off the network is not able to maintain this state. For the time observed, mean firing probabilities also remain far below the homeostatic value and as there is obviously no spontaneous synapse formation going on, it is likely that activities remain low. Unlike neurons inside the LPZ, neurons outside the LPZ (Figure 5D) develop well towards homeostasis after turning off the stimulation. Therefore, one may conclude that there remains a significant deficit in the synaptic input pattern of neurons inside the LPZ. Thus, a continuous stimulation does not produce a lasting compensation for the lesion. This is due to the development of synaptic elements during stimulation:

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Moreover, the expected benefit of the stimulation promoting axonal outgrowth is also limited. This is because stimulation does
not rise mean activities of neurons without the LPZ substantially as neurons quickly adapt to the extra activity (Figure 5D). Therefore, axonal outgrowth saturates when neurons outside the LPZ return to homeostasis (Figure 5F). Thereafter, further stimulation has no beneficial effect on network development any longer.

However, it turns out that the turn off in stimulation coincides with a spontaneous rise in vacant excitatory dendritic elements. This finding led us to the idea that interrupting the stimulation by pauses may prevent an early saturation in synapse formation. We would therefore expect that a certain relaxation time is needed by the network to produce vacant dendritic targets again that can be used for further synapse formation.

**PAUSED STIMULATION ENHANCES COMPENSATORY NETWORK REWIRING**

As further simulations reveal, adaptation to external stimulation and early saturation in synapse formation can be prevented (Figure 6A) by interrupting stimulations by short breaks in stimulation. Remarkably, synapse numbers neither inside nor outside the LPZ (Figures 6A,B) decrease after turning off stimulation completely but remain on a stable high level. Moreover, mean activity of neurons inside (Figure 6C) and outside the LPZ (Figure 6D) stay within a homeostatic equilibrium. Fluctuations in mean activity during stimulation and pause phases cause a prolonged formation of synaptic elements. That is, inside the

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**FIGURE 6 | Adult lesion with paused stimulation.** Simulations in this figure use the same settings as in Figure 5 but here stimulations are interrupted by short pauses. (A,B) Course of excitatory synapse numbers per neuron over time from 12 individual simulations. (C,D) Course of mean firing probability (black curve) and mean synapse numbers (red curve) averaged over simulations in (A,B). (E,F) Gives the development of synaptic elements over time averaged over the simulations in (A,B). Vertical lines in all panels indicate the onset of the lesion at the same time with the beginning of the paused stimulation at \( T = 1000 \) and the final turn off of the stimulation at \( T = 2700 \).
LPZ there are vacant dendritic elements available over the whole simulation time (Figure 6D). This is because the network passes a ‘relaxation phase’ when neuronal activities are low during pauses. During relaxation phases, postsynaptic neurons again increase their demands for excitatory input and form additional dendritic elements (Figure 6E). Instead of adapting to stimulation, the network is able to form additional synapses during paused stimulation. Moreover, neurons outside the LPZ respond with an enhanced production of axonal elements (Figure 6F) compared with the continuous stimulation. Regarding the resulting connectivity, networks under paused stimulation form a strong surplus of synapses from neurons bordering the LPZ onto neurons inside the LPZ (Figure 7) that would not arise during normal development.

Comparing connectivity in networks with paused stimulation to continuous stimulation 1000 morphogenetic time steps after the lesion reveals that synapse formation under paused stimulation is slightly but significantly enhanced onto neurons inside the LPZ (Figure 8A); 3000 morphogenetic time steps after the lesion, when stimulation was already turned off before, we found a substantial difference between networks with permanent and paused stimulation (Figure 8C). Although synapse numbers outside the LPZ after adult lesions actually decrease in the previous set of simulations, paused stimulation causes stability or even a marginal increase in synapse numbers (Figures 8B,D).

**TRADE-OFF BETWEEN STIMULATION AND PAUSE TIMES**

We further examined which combinations of stimulation and pause times generate the strongest increase in synapse numbers. The reorganization enhancing effect of a stimulation saturates after about 500 morphogenetic time steps. As saturation due to a stimulation is to be avoided, stimulation times were chosen shorter than this saturation time. Therefore, stimulation times up to 300 morphogenetic time steps were tested. Pause times were, in turn, tested in 10% increments up to 100% of the stimulation time. That means, with 100%, pause time is as long as the stimulation time. We found that stimulation times not longer than 200 time steps (which equals about 50% of the saturation time) combined with pauses not longer than 20% of the stimulation time used, produce a substantial increase in synapses inside the LPZ. Longer stimulation and pauses either result in no gain or even in a loss of synapses (Figure 9A). Outside the LPZ, neurons optimally keep their synapse numbers or even show a small increase. Non-optimal combinations of stimulation and pause times lead to a severe loss in synapses (Figure 9B). However, there are still fluctuations in the final outcome of the reorganization; so one may suppose that the reorganization is to some extent dependent on the inherent structural network development after the lesion.

In order to understand what is causing the trade-off between stimulations and pauses, we further studied how stimulations...
and pauses influence the formation and the loss of synaptic elements. Necessary for synapse formation onto neurons inside the LPZ is their formation of dendritic elements and the formation of axonal elements by neurons outside the LPZ. Therefore, we quantified the changes in excitatory dendritic elements within the LPZ (Figures 9C,E) and the change in excitatory axonal elements outside the LPZ (Figures 9D,F), respectively. As we are essentially interested in the total increase of synapses, we averaged over all stimulation phases beginning at $T_0$ and the respective following pause phase. This gives a gross estimation how synaptic elements develop during stimulation and pause phase which is sufficient to explain the different results depending on varying stimulation and pause lengths. In Figures 9C, D, the impact of pause lengths is shown. Longer pause lengths lead to an increasing regression of excitatory dendritic elements whereas short pauses produce an increase of these elements during the pause phase (Figure 9C). At the same time, different pause length have little effect on axonal outgrowth during stimulation phase but cause loss of axons during the pause phase (Figure 9D). Therefore, pause lengths need to be short not to ruin the surplus of axonal elements formed during stimulation phases before. On the other hand, increasing the stimulation time leads to a reduction in dendritic elements inside the LPZ (Figure 9E) but does not produce a further increase in axonal elements because axon formation quickly saturates (Figure 9F).

DISCUSSION

We were able to show that the model for structural plasticity in a developing ‘juvenile’ network equilibrates neuronal activities by rewiring excitatory and inhibitory connectivity. The same mechanism may also contribute to compensatory network rewiring after a deafferentation. Remarkably, the plastic capacities of these simulated networks highly depend on their developmental history: Juvenile networks possess a pronounced intrinsic plastic capacity while neuronal activities are not yet balanced (‘Critical phases’). Juvenile networks are therefore able to completely compensate for a lesion. In contrast, ‘adult’ networks show a very limited capacity for compensatory reorganizations. Nevertheless, it is possible to promote reorganization by external stimulations. Comparing the reorganization outcome of both the permanent with the paused stimulation scenario revealed a sufficient reorganization for the paused stimulation only. On the one hand, paused stimulation...
FIGURE 9 | Trade-off between stimulation and pause times. The left column shows changes inside the LPZ whereas the right column shows changes outside the LPZ. (A, B) Total difference in excitatory synapses between onset of lesion and final connectivity state for different stimulation and pause times. The chosen stimulation times are specified as morphogenetic time steps (x-axis) whereas the chosen pause times are given as percentage values of the stimulation time in 10% increments (y-axis). For example, 100% of pause time means that the pause phase is as long as the stimulation phase. In (C–F) the x-axis gives the time period of each stimulation and pause phase starting at $T_0$. Each curve indicates the mean changes in dendritic and axonal elements during stimulations and pauses for different exemplary combinations of stimulation and pause times. In (C) and (D) we show the impact of varying pause lengths (blue: 10%, red: 50% and green: 100% of stimulation time) whereas in (E) and (F) we show the impact of different stimulation times (blue: 30, red: 70 and green: 100 morphogenetic time steps). Dashed vertical lines mark the ending of the stimulation and pause phases, respectively.
produces the highest increase in synapse numbers of all stimulation protocols, and on the other hand, reorganized connectivity remains stable even when stimulation is finally turned off.

**IMPLICATIONS OF THE MODEL**

The main contribution of our model is to predict reorganization in network connectivity from local activity-dependent changes in the neurons’ morphology (review in Butz et al., 2009) for different network constraints such as juvenile or adult networks or following a lesion. The model postulates that neurons form axonal and dendritic elements which they offer to the neuropil in order to increase their chance for synapse formation. In fact, spine growth precedes synaptogenesis in biological networks (Knott et al., 2006; Wolff et al., 1989), and new spines attract axonal terminals or varicosities by morphogenetic factors in order to form synapses (shown in earlier cell culture studies: reviewed in Rao and Jacobson, 2005; and recently in slice preparations of the adult hippocampus: Toni et al., 2007). One main finding of the model are cooperative effects for synapse formation between neurons of different activity levels in order to achieve homeostasis for neuronal activity. That is, the probability for synapse formation is highest among neurons expressing many dendritic spines and those performing axonal spraying. At the same time, this means that ‘critical phases’ in which neurons can form new synapses and reorganize network connectivity is limited and crucially depending on the neurons’ supply and demand for synaptic input.

We hypothesize that any neuronal lesion like a deafferentation, unbalancing the excitation–inhibition equilibrium of the affected neural network, is compensated by different cellular strategies. Molecular mechanisms and classical synaptic plasticity mechanisms like habituation and long-term depression certainly contribute to homeostasis but may not be sufficient if the activity imbalance is either too strong or lasting too long. Then, a neuron adapts its synaptic spectrum by morphological dendritic and axonal changes and, therefore, essentially relies on cooperation with adjacent or projecting neurons to obtain additional input (or, if it fails, even undergoes apoptosis). Substantial synaptic rewiring was for instance found after lesioning thalamic input to visual cortex in rats (Holzgreve et al., 1981). Experimental data from focal retinal lesions further shows increasing spine remodelling (Keck et al., 2008) as well as axonal sprouting from neurons bordering the lesion (Darian-Smith and Gilbert, 1994, 1995). Moreover, increasing amounts of stable dendritic spines were reported after selective whisker clipping in the barrel fields of rodents (Trachtenberg et al., 2002).

According to our model, we suggest that the limited plastic capacities in adult networks to compensate for a lesion are due to a low offer in vacant particularly axonal elements that are used for a compensatory formation of additional synapses. Interestingly, promoting axonal spraying by activity stimulation may increase the offer of vacant axonal elements. However, at the same time neurons counterbalance the extra activity by reducing dendritic elements. This, in turn, limits the ‘critical phase’ for synapse formation. In the model, neurons gained homeostasis during stimulation but an insufficient synapse formation allowed them not to maintain homeostasis when stimulation is turned off. Pauses in stimulation create further demand of the neurons for additional synaptic input and, therefore, can prolong the ‘critical phase’ after a lesion in which networks can reorganize. By contrast, juvenile model networks show spontaneous phases of increased remodelling and, remarkably, phases of increased synaptic rewiring also periodically re-occurs in the rodent visual cortex after lesions of the thalamic input (Holzgreve et al., 1981; Holzgraefe and Wolff, 1986). We therefore conclude that pauses in stimulation are essential to allow for a spontaneous network reorganization that is required for a lasting compensation for a lesion.

This homeostatic reorganization of biological neuronal networks causes dramatic rearrangements of cortical circuitry and topic representations in the brain after lesions. To our knowledge, our model is the first approach that bridges between morphological changes on a cellular level and changes on an anatomical neural network level. Our theoretical model, thus, offers an integrative explanation for axonal sprouting and synaptic rewiring after a cortical deafferentation as seen in a variety of experimental studies (Darian-Smith and Gilbert, 1994, 1995; Keck et al., 2008; Merzenich et al., 1983, 1984). However, for modelling the interaction between different cortical areas, larger networks might be more appropriate. At this point, it, of course, becomes also necessary to transfer the modelled mechanism to an, at least, two-dimensional network. This would allow for modelling map reorganizations explicitly and to make predictions for the change in receptive field properties of each neuron. For this, the model should incorporate realistic anatomical data on cortical connectivity. In this context it must be discussed that distant connections are often underestimated in models for cortical circuitry (Stepanyants et al., 2009). This implies that axonal arbourings may be available for reoccupying vacant dendritic targets that are not hosted by neighbouring neurons but originate from far distant neurons. Especially, for lesions in higher cortical areas this might be relevant as axonal sprouting of distant neurons may give rise to a trans-modal reorganization. Nevertheless, the model describes a general mechanism for activity-dependent structural plasticity that is not necessarily restricted to lesion-induced plasticity (Wolff et al., 1989). One may conclude that structural plasticity ubiquitously contribute to changes in network connectivity wherever lasting changes in neuronal activity occur; for instance, motor skill learning, not only in a pathological but also in a functional context, is well known to raise cortical activities in the brain (Bangert and Altenmüller, 2003) and, therefore, possibly eliciting phases of enhanced structural network reorganization. First experimental evidence for experience-dependent structural plasticity exists that neurons in the rat barrel cortex increase their incoming inhibitory synapses after whisker stimulation in a compensatory manner (Knott et al., 2002). Assuming a common mechanism for reactive as well as experience-dependent plasticity have consequences for motor skill learning and re-learning particular in neurological rehabilitation.

**CONSEQUENCES FOR NEUROLOGICAL REHABILITATION**

For neurological rehabilitation, we conclude from our model that long-term excitatory stimulation by, for example, extensive training has a limited effect on rehabilitation (compare Liepert et al., 2001) as plasticity saturates when neuronal circuits adapt to the stimulation. The first 3 months are most important in rehabilitation; thereafter therapy aims maintaining the patient’s chronic state but
further improvements are much harder to achieve. Remarkably, our model is able to reproduce this saturation effect as a consequence of neuronal homeostasis and, moreover, generates hypotheses about how to prevent this saturation in therapy. In the model, stimulation times up to about 50% of the saturation time were most effective for enhancing network reorganization when combined with pauses of 10 to 20% of the respective stimulation time following each stimulation phase. This leads to the testable hypothesis that an intensive rehabilitation should be interrupted after 6 weeks by a week of no therapy. During this relaxation phase, neuronal circuits may rewire and will, according to our postulate, form new demand for further input.

We used cortical deafferentation as a paradigm for our modeling approach because cortical reorganization is directly observable on behavioural level in humans, too, for instance in patients suffering from facial paresis when synaptic rewiring causes an altered innervation pattern of muscles in face and neck (Yildiz et al., 2007). Moreover, a comparable situation of synaptic rewiring also appears after focal stroke as the apoptotic loss of neurons is accompanied by phases of high structural reorganization (Carmichael et al., 2001; Stroemer et al., 1995). Increased (synchronous) activity, as recently shown experimentally, is the main trigger for inducing structural reorganization (Carmichael and Chessett, 2002) that expresses distinct periodicity in time (Carmichael, 2006). Adjacent areas respond to the infarct with changed functional properties and even distant projections are involved in synaptic rewiring forming completely novel connections (reviewed in Nudo, 2007). However, the penumbra (the area surrounding the infarct) as being hyperexcitable acutely after the lesion (Hagemann et al., 1998; Liepert et al., 2000; Luhmann et al., 1995; Neumann-Haefelin et al., 1995; Schiene et al., 1996) bears on the risk for progressive cell loss due to excitotoxic activity levels. Future studies may address the problem of how to maximize reorganization and preventing progressive cell loss. Therefore, our novel computational approach has clinical relevance.

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