Modelling learning in *Caenorhabditis elegans* chemosensory and locomotive circuitry for T-maze navigation

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**Abstract**

Recently, a new type of *Caenorhabditis elegans* associative learning was reported, where nematodes learn to reach a target arm in an empty T-maze, after they have successfully located reward (food) in the same side arm of a similar, baited, training maze. Here, we present a simplified mathematical model of *C. elegans* chemosensory and locomotive circuitry that replicates *C. elegans* navigation in a T-maze and predicts the underlying mechanisms generating maze learning. Based on known neural circuitry, the model circuit responds to food-released chemical cues by modulating motor neuron activity that drives simulated locomotion. We show that, through modulation of interneuron activity, such a circuit can mediate maze learning by acquiring a turning bias, even after a single training session. Simulated nematode maze navigation during training conditions in food-baited mazes and during testing conditions in empty mazes is validated by comparing simulated behaviour with new experimental video data, extracted through the implementation of a custom-made maze tracking algorithm. Our work provides a mathematical framework for investigating the neural mechanisms underlying this novel learning behaviour in *C. elegans*. Model results predict neuronal components involved in maze and spatial learning and identify target neurons and potential neural mechanisms for future experimental investigations into this learning behaviour.

**KEYWORDS**

*C. elegans*, learning, locomotion, mathematical model, maze navigation, neuronal circuit dynamics

**INTRODUCTION**

The nematode *Caenorhabditis elegans* is broadly used to address key neurobiology questions (Sengupta & Samuel, 2009). Despite having only 302 neurons...
(hermaphrodites), *C. elegans* are capable of non-associative (Rankin et al., 1990; Rankin & Broster, 1992) and associative learning (Ardiel & Rankin, 2010; Rankin et al., 1990), mainly in the context of chemical cues. Moreover, with their nervous system mapped (Cook et al., 2019; Varshney et al., 2011; White et al., 1986) and many of the neuronal connections characterized (Arnatkeviciute et al., 2018; Towson et al., 2013), *C. elegans* have been successfully used to dissect decision making neuronal circuits (Faumont et al., 2012; Ghosh et al., 2016; Jarrell et al., 2012; Tanimoto et al., 2017).

Lately, mathematical models have been employed to describe and capture neuronal dynamics (Ghosh et al., 2016; Kato et al., 2014; Roberts et al., 2016; Scholz et al., 2017; Tanimoto et al., 2017) in several *C. elegans* behaviour studies, in a way complementary to experimental efforts. In many cases, mathematical modelling is the main means applied to untangle complex neuronal interactions, feeding strategies or locomotion dynamics (Calhoun et al., 2014; Izquierdo & Beer, 2016; Izquierdo & Lockery, 2010; Klein et al., 2017; Mirzakhahili et al., 2018; Soh et al., 2018). Interestingly, although learning in *C. elegans* has been well established and extensively characterized, there are few studies that take advantage of mathematical modelling in their effort to understand the underlying mechanisms (Demin & Vityaev, 2014; Hasani et al., 2017). Most of these studies focus either on non-associative learning, that is, habituation (Hasani et al., 2017) or on improved chemotaxis (Demin & Vityaev, 2014), often without taking into account the biological structure of the governing neuronal circuits. However, mathematical models of neuronal circuits have been recruited to explore learning in other systems (Garst-Orozco et al., 2014; Wei et al., 2017) or as stand-alone computational work (Maass et al., 2007).

Recently, our group (Gourgou et al., 2021) characterized a new type of learning in *C. elegans*, using a custom-made T-maze platform. In this new behaviour, young adult *C. elegans* learn to reach a target arm in an empty maze, after successfully locating reward (food) in a similar training maze (Figure 1). More specifically, *C. elegans* nematodes are initially challenged with locating food (*Escherichia coli* OP50), placed at the end of one maze arm (left side arm in Figure 1b schematic). Almost 79% of scored worms locate food successfully. When these nematodes are placed in a second, empty T-maze, ~75% of scored nematodes reach the same side maze arm, even though no reward is present. It was shown (Gourgou et al., 2021) that functional chemosensation plays a leading role in this food-triggered form of associative learning and that other sensory modalities, for example, mechanosensation and proprioception, are also involved. In addition, it was suggested that *C. elegans* are likely to use a mixed learning strategy by utilizing both the

![FIGURE 1](https://example.com/figure1.png)

**FIGURE 1** The maze learning experiment. (a) Schematic of the control experiment, where young adult *Caenorhabditis elegans* are placed at the bottom of an empty T-maze and are allowed to explore freely. A decision is considered made when they reach the end of either the left or the right maze arm. (b) Schematic of the Training/Testing experiment, where young adult *C. elegans* are placed at the bottom of a T-maze, which contains food (reward) at one end, and are allowed to explore freely. Nematodes that locate the reward are then tested in a second, empty T-maze. A decision is considered made when worms reach the end of either the left or the right maze arm. Modified from Gourgou et al. (2021). In blue: the functional corridors of the maze, light blue: auxiliary areas, allowing for extra room to insert the bacterial food (on either the left or right maze end) and to place the worm in (bottom of the maze—starting point). (c) % of scored worms in Control and Training/Testing experiments. Number of scored worms: ncontrol = 70, nTraining = 874, nTesting = 239, p values of binomial probability test provided above bars (see Gourgou et al., 2021, Figures 1 and S2)
structural features of the maze and proprioceptive cues. The exact mechanism and neuronal circuits that steer this behaviour have not been identified.

Here, we present a mathematical model of a simplified *C. elegans* chemosensory and locomotor neuronal circuitry, activated by the food-released chemical cues, that drives locomotion in a food-baited training maze. We show that, under certain assumptions, such a circuit can produce the learned behaviour, as a result of an induced turning bias, even after a single training session. We rely on experimental results reported by Gourgou and colleagues (Gourgou et al., 2021), and we verify the realistic nature of simulated worm behaviour using new experimental video data, extracted through the implementation of a new, custom-made tracking algorithm, especially developed for the maze environment. Our work provides a mathematical framework for investigating the neural mechanisms underlying this novel learning behaviour in *C. elegans*. Model results replicate key traits of nematode behaviour inside the maze, such as percentage of nematodes that locate the bait, percentage of nematodes that learn, their exploratory behaviour and the paths followed during maze navigation. Additionally, model results predict neuronal components involved in maze learning, specifically interneurons that monitor and code for path curvature based on proprioception. Lastly, the model serves as a guide for future experimental work by identifying target neurons and neural mechanisms involved in this learning behaviour and provides a foundation for modelling the experimentally observed impact of ageing on this behaviour.

2 | METHODS

2.1 | Model development

The main goal of the proposed model is to provide a simplified mathematical framework for the neuronal circuitry that steers *C. elegans* navigation and learning in a maze environment (Figure 1) (Gourgou et al., 2021).

The model expands upon a previously published and extensively tested *C. elegans* sensorimotor model (Cohen & Sanders, 2014; Ghosh et al., 2016). For simplicity, we treated the worm as a single point at the head, with its body following behind. This allows us to examine sensory input at one specific point, for a clear view of the worm’s sensorimotor properties.

Each simulated worm was placed in a T-shaped maze inscribed in a 5 × 5 mm square, with functional corridors 1 mm wide (Figure 2a). Simulated nematodes use only the functional corridors of the maze.

In building the model, we introduce several assumptions. First, unlike living worms that often climb up the maze walls (Gourgou et al., 2021) or even burrow themselves into the agar, model nematodes travel only in two dimensions, crawling on the maze floor without penetrating the wall. This, combined with the absence of indecisive, injured or escaping worms, which occasionally come up in experiments, eliminates censored data.

Second, model nematodes always start the simulation at the bottom of the maze (starting point), oriented in a random direction up the maze corridor (Figure 2a). This excludes from the simulations much of the exploring

**Figure 2** The maze environment. (a) Schematic showing the dimensions of mazes used in experiments, in mm; blue: the functional corridors of the maze, light blue: auxiliary areas (Figure 1). For the simulations, we set the food source location to be 0.4 mm from the end of either the left or right functional corridor of the maze, as indicated by the red line and the asterisk. The simulated worm is not permitted in the auxiliary areas of the simulated mazes. (b) Visualization of the strength of the signal detected by the modeled chemosensory neuron (Figure 3), with food placed on the left maze end. The worms start detecting food approximately 2 mm above the beginning of the vertical corridor (dashed line). (c) Three-dimensional plot of the food gradient in the maze. Because the modeled chemosensory neuron (Figure 3) is sensitive to changes in the food gradient (Equations 2 and 5), it is important to understand what the gradient looks like, to identify which areas are critical for the worm to locate the food. X, Y axes show maze floor coordinates (in mm); Z axis (arbitrary units) indicates food signal strength.
behaviour that *C. elegans* might display during the first few seconds in the starting point of the maze, however, does not impact any of the quantitative results.

Third, model worms keep the same ventral/dorsal body orientation with respect to the maze sides during a trip. This assumption is justified by the fact that *C. elegans* do not flip often (Schwarz & Bringmann, 2017), unless special conditions apply (Singh & Sulston, 1978). For the purposes of this work, we keep the body orientation constant throughout and across the simulations; therefore, the ventral motor neurons (VMNs) always control the body wall muscles that lie towards the left maze side, and the dorsal motor neurons (DMNs) control the ones towards the right maze side. Consequently, nematodes that make a ventral turn or have a ventral turning bias always turn left or counterclockwise and worms that make a dorsal turn or have a dorsal turning bias always turn right or clockwise.

Lastly, food reward was placed on either the left or the right end of the maze, maintained the same concentration for the entire duration of the simulation and generated a signal gradient when diffused in the medium (Figure 2b,c).

### 2.2 Neuronal circuit architecture

Based on the work done by Ghosh and colleagues (Ghosh et al., 2016) and the modelling logic adopted by Izquierdo and Lockery (Izquierdo & Lockery, 2010), we consider a neuronal circuit (Figure 3) with four main components: (i) the chemosensory neuron AWA, which drives chemotaxis and subsequent food location; (ii) the interneuron RIM, which receives input from the AWA and is responsible for steering the worm and controlling the pirouette rate; (iii) the motor neurons VMN and DMN, which account for all the ventral (V) and dorsal (D) pairs of...
motor neurons, respectively, and are responsible for locomotion; and (iv) the neuronal component $\Gamma$, which monitors the worm’s instantaneous curvature. AWA, RIM, DMN and VMN correspond to real *C. elegans* neurons, the role of which has been well established (Bargmann, 2006; Hart, 2006), whereas $\Gamma$ accounts for an assumed neuron or collection of neurons.

Due to the undulatory nature of *C. elegans* locomotion, we can model VMN and DMN as a half-centre oscillator (Ghosh et al., 2016). This is achieved through reciprocal inhibition and the implementation of the auxiliary neuronal components IV and ID (Figure 3). These are not physical neurons that could be found in *C. elegans*, rather they are implicitly modelled neurons that serve a delayed excitatory connection between VMN and DMN. Similarly, $\Omega$ is a component modelled as a neuron, which controls pirouette rate through a probability function (Equation 13).

Because *C. elegans* neurons generally produce potentials with graded properties rather than less often observed classic action potentials (Goffney et al., 2011; Goodman et al., 1998; Lindsay et al., 2011; Liu et al., 2009, 2011; Mellem et al., 2008; O’Hagan et al., 2005), we modelled neurons as leaky integrators (Ghosh et al., 2016) with the general equation

$$\tau_m \frac{dV_i}{dt} = -V_i + V_{0,i} + \tanh(I_i) + \xi \tag{1}$$

where $V_i$ is the (unitless) charge of neuron $i$, $V_{0,i}$ is the resting potential, $I_i$ is the input and $\tau_m$ is a neuronal time constant. Here, $\tanh$ serves as a sigmoidal function that allows for saturated neuronal signal, observed in *C. elegans* neurons (Larsch et al., 2013; Suzuki et al., 2008; Thiele et al., 2009). Finally, $\xi$ is the noise term expressed as a random variable, with mean frequency 0.2 Hz, duration 0.1 s and amplitude 0.2.

For the circuit parameters, see also Table S1. Equations 1–14 were solved simultaneously using Runge–Kutta integration with a time step of 0.01 s.

### 2.3 Food gradient

We used a Gaussian gradient equation to model the strength of the food signal given by

$$C(x,y) = Ce^{-\frac{(x-x_f)^2}{2D}}. \tag{2}$$

Here, $C$ controls the amplitude, and $D$ is the diffusion coefficient. Moreover, $r(x,y)$ is the distance between the point $(x, y)$ and the food source (Figure 2) given by

$$r(x,y) = \begin{cases} \sqrt{(x-x_f)^2 + (y-y_f)^2} & y \geq 4 \\ \sqrt{(x-x_c)^2 + (y-y_c)^2} + \sqrt{(x-x_f)^2 + (y-y_f)^2} & y < 4 \end{cases} \tag{3}$$

The coordinates $(x_f, y_f)$ and $(x_c, y_c)$ represent the food location and the location of the maze corner nearest to the food, respectively. We use this method to approximate the food gradient rather than simply taking the radial distance, to reflect the assumption that the food-derived chemical cues diffuse more easily through the air-filled corridors of the maze than seeping through the agar-made walls and floor. This is not an exact measurement and may have a small impact on results.

Parameters related to the strength of food gradient are shown in Table S2.

### 2.4 Sensory neuron

The only sensory neuron in the model is the chemosensory neuron AWA, the dynamics of which is described by the general equation (Equation 1). Because AWA receives input from the environment rather than other neurons, the input term $I_{AWA}$ is given by the equation

$$I_{AWA} = F - S, \tag{4}$$

where $F$ can be considered the fast component of sensory detection and $S$ the slow component (Ghosh et al., 2016). This structure allows the AWA membrane potential to respond transiently to a constant stimulus, which has been observed experimentally (Liu et al., 2018). Furthermore, it has been reported that when given a sinusoidal stimulus with the frequency of *C. elegans* natural head swings, the AWA membrane potential makes oscillations with a similar frequency (Liu et al., 2018). This, too, is reflected in the model. Together, these make the AWA sensitive to changes in the food gradient and allows the worms to become accustomed to the scent of food if the signal is not changing, encouraging the worms to move up the gradient towards the food. We then have

$$\frac{dF}{dt} = \alpha C - \beta F, \tag{5}$$

$$\frac{dS}{dt} = \gamma (F - S), \tag{6}$$

where $\alpha$ is the depolarization rate, $\beta$ is the leak rate, $\gamma$ is the repolarization rate and finally $C = C(x,y)$ is the strength of the food gradient at coordinates $(x, y)$. 
Because AWA is sensitive to changes in the food gradient, it is important to understand what the gradient looks like so we can identify which areas are critical for the worm to locate the food (Figure 2).

For model parameters related to food location (chemotaxis), see also Table S3.

### 2.5 Interneurons and motor neurons

For interneuron RIM, motor neurons and the auxiliary components IV and ID, the $I_i$ term in equation (Equation 1) is given by

$$I_i = b \sum_{j \in N_i} w_{j-i} V_j,$$  \hspace{1cm} (7)

where $b$ is the gain parameter, $N_i$ is the collection of all neurons that send output to $i$ and $w_{j-i}$ is the strength of the connection from neuron $j$ to neuron $i$.

In the absence of sensory input, $V_{VMN}$ and $V_{DMN}$ approach a state of stable oscillations, which drive undulations in the worm's locomotion. In order to start these oscillations in the motor circuit, initial conditions for the motor neurons needed to be non-zero. To avoid unnatural movement of the worms in the beginning of the maze, we chose initial conditions on the steady state, setting $V_{VMN}$ to $-0.167$, $V_{DMN}$ to $+0.167$, $V_{IV}$ to $+0.405$ and $V_{ID}$ to $-0.405$.

### 2.6 The $\Gamma$ neuron

$\Gamma$ is a neuronal component modelled as an interneuron, which receives input from the motor circuit. Thus, it tracks the instantaneous geometric curvature of the worm’s motion (see Section 3 and Figure 5) and its activity in the circuit can introduce a turning bias (see Section 3 and Figure 6). The bias is achieved by varying the resting potential, $V_{0,\Gamma}$, according to the equations,

$$V_{0,\Gamma} = m \tanh(\zeta).$$ \hspace{1cm} (8)

$$\frac{1}{k} \frac{d \zeta}{dt} = -r_\zeta + g V_{\Gamma} V_{AWA}. \hspace{1cm} (9)$$

Here, $\zeta$ represents the bias term that gets triggered as the worm approaches the food. Activity differences in the AWA and $\Gamma$ driven by head sweeps across the food gradient cause it to increase when the worm senses a stronger food gradient on its dorsal body side and decreases when it senses stronger food gradient on its ventral body side (Figures 6 and 8). This means that by the time the worm reaches the food, we would typically expect $V_{0,\Gamma}$ to tend towards either $+m$ or $-m$. Because this is the resting potential of the $\Gamma$ neuron, $V_{0,\Gamma}$ will be positively or negatively biased as a result.

### 2.7 Simulating motion

The instantaneous direction of motion changes as a function of the VMN and DMN neurons. This direction is used to calculate the $x$ and $y$ coordinates of the point worm:

$$\frac{d \theta}{dt} = \omega (V_{VMN} - V_{DMN}),$$ \hspace{1cm} (10)

$$\frac{dx}{dt} = v \cos(\theta),$$ \hspace{1cm} (11)

$$\frac{dy}{dt} = v \sin(\theta),$$ \hspace{1cm} (12)

where $\omega$ is the undulation amplitude, $v$ is the velocity in mm/s, $x$ and $y$ are in millimeters and $\theta$ is in radians. Pirouettes are implemented by changing $\theta$ to a random number drawn from a uniform distribution in the interval $[0,2\pi]$. Pirouette frequency in the training maze is given by a probability function depending on the value of $V_{\Omega}$:

$$P(V_{\Omega}) = \begin{cases} 0 & p + w_{\Omega} V_{\Omega} < 0 \\ p + w_{\Omega} V_{\Omega} & 0 \leq p + w_{\Omega} V_{\Omega} \leq 2p, \\ 2p & p + w_{\Omega} V_{\Omega} > 2p \end{cases} \hspace{1cm} (13)$$

where $p$ is the average pirouette rate of 2.1 pirouettes per minute (Ghosh et al., 2016) and $w_{\Omega}$ is the unitless proportionality constant equal to 2.1. Because AWA inhibits RIM and RIM excites $\Omega$, $V_{AWA}$ increases when the worm is heading up the food gradient, which causes $V_{RIM}$ and $V_{\Omega}$ to decrease. This, in turn, lowers the probability of a pirouette. Similarly, when the worm is moving down the gradient, $V_{AWA}$ decreases, which subsequently increases the pirouette rate. The more frequent occurrence of pirouettes when the nematode is moving up the gradient, probably to terminate runs that lead the animal away from the attractant, has been observed experimentally (Pierce-Shimomura et al., 1999).

Additionally, experiments showed that worms spend more time in the control maze than the testing maze (Gourgou et al., 2021). Modelling shows that this result is consistent with trained worms having a lower pirouette rate than naïve worms, so we decreased the value of the pirouette rate parameter, $p$, to be 1.47. This value was
chosen to optimize the performance of the model; however, we note that the results of the model are agreeable with experimental results for any value of \( p \) between 0.58 and 2.2 pirouettes per minute (Figure S6).

For locomotion-related parameters, see also Table S4.

2.8 Learning connections

During the training phase (Figure 1b), the \( \Gamma \) neuron only receives input (Figure 3, black arrows); however, during testing, \( \Gamma \) sends an equal output to VMN and DMN (Figure 3, red arrows) given by

\[
w_{\Gamma \rightarrow XMN} = w \text{sgn}(V_{0,\Gamma}),
\]

where \( V_{0,\Gamma} \) is the final value determined by Equations 8 and 9 at the end of training. This means that \( V_{0,\Gamma} \) is positive, then VMN and DMN both receive a positive, oscillating input, which is antiphase to curvature. Similarly, if \( V_{0,\Gamma} \) is negative, then VMN and DMN receive a positive, oscillating input, which is in phase with curvature. We call the outputs from \( \Gamma \) to VMN/DMN the learning connections.

We justify the plasticity of the above connections as a hypothesized mechanism of learning, because it has been shown that functionally silent synaptic connections become strengthened when modulatory conditions change (Marder, 2012). Indeed, neuromodulation can reconfigure circuit properties and can amend neuronal functions over seconds or minutes (Marder, 2012). For example, in the modelled circuit, this could be the result of dopaminergic neuromodulation, as \( C. \) elegans possesses dopaminergic neurons (Sulston et al., 1975) that are involved in motor behaviour control (Sawin et al., 2000), for example, increased turning behaviour (Hills et al., 2004), that can be affected by reward-triggered learning (Ardiel & Rankin, 2010). Notably, plasticity of these learning connections would not occur in worms that do not reach the food/reward during training because no reward induced dopamine signalling would have occurred. This is reflected in the model because in this case \( \text{sgn}(V_{0,\Gamma}) \) and thus \( w_{\Gamma \rightarrow XMN} \) would be equal to zero.

For parameters related to the learning connections, see also Table S5.

1. Data accessibility statement: All codes related to this work will be made available, upon acceptance of this manuscript, and will be accessible in a public repository (GitHub).
2. Ethics statement: Experimental animals used in this work were hermaphrodites \( C. \) elegans nematode worms, which, as invertebrate animals, do not require IRB approval. In any case, the minimum necessary number of nematodes was used (\( n = 41 \), as stated in Figure 12).

2.9 Maze tracker

In order to track \( C. \) elegans as they traverse a maze, we developed a customized algorithm, the Maze Tracker, that would be effective in the maze environment and tracks the centroid of the nematode. Standard worm trackers are designed for use with open surface NGM plates, which offer high contrast and low noise and can track nematodes as they move on two-dimensional surfaces. In the case of T-mazes (Gourgou et al., 2021), most nematodes are moving along three dimensions, the background is non-uniform due to the 3-dimensional maze structure, recordings are often noisy due to camera refocusing, and in some frames, the worm in study is momentarily undetectable, moving along wall-floor edges.

To tackle the challenge, the Chan–Vese active contour method (Chan & Vese, 2001) is used as a first step to extract contours from the first frame of each recording (Figure 4a). The user must select the number of iterations for which to run the algorithm as a hyper-parameter. After applying Chan–Vese active contour method, several contours are obtained, so we need to pick the one that is most likely to correspond to the T-maze. This is achieved by finding the contour whose horizontal length and vertical length satisfy the threshold values that are provided by the user. An example of the separated T-maze contour is shown in Figure 4b.

Next, a T-shape polygon is fitted to the contour. This is required (i) to prevent the algorithm from continuing to track an animal after it has escaped the maze and from focusing on a dark non-worm object that lie outside the maze limits. Because the Maze Tracker is based on the difference between frames, an algorithm that shifts its focus between frames would result in errors; (ii) due to the top-down imaging system and the light source’s perspective, the imaged T-maze border is slightly distorted with respect to the true border—as a result, the contour generated by Chan-Vese is often smaller than the real T-maze and must therefore be resized; (iii) the generated Chan–Vese contour is not guaranteed to be a perfect T-shape due to noise in the image; however, we know that the experimental maze structure was a T-shape by design. Therefore, fitting a T-polygon and assigning it as the area of interest allows the algorithm to track the worm for a larger part of the maze area. Polygon fitting thus allows the use of a consistent T-shape throughout the tracking. This polygon is
The problem can be mathematically described as follows:

\[ T \approx QP + d1_N^T, \]

where \( T \) denotes the coordinate matrix of the T-maze contour with size \( M \times N \), \( P \) denotes the generated coordinate matrix of the polygon with size \( M \times N \), \( Q \) is a unitary matrix and \( d \) is a displacement vector. The Procrustes Transformation method is applied (Gower & Dijksterhuis, 2004) to solve the problem, which can be written as

\[
\hat{Q}, \hat{d} = \arg \min_{Q, Q^T=I, \ d \in \mathbb{R}^M} \| T - (QP + d1_N^T) \|_F.
\]

Note that \( F \) in the subscript denotes the Frobenius norm.

Every frame’s rank-1 approximation is computed using singular value decomposition (SVD). To be more precise, suppose a video has \( L \) frames, where each frame has size \( W \times H \), then we build a matrix having size \((WH) \times L\). Therefore, an approximation is made, based on all the frames of the video. This approximation can satisfactorily estimate the static background of the maze. Subtracting the approximated background from every frame highlights the motion of the worm, making tracking easier. To track the worm, a `diff` operation (MATLAB) is performed on every two successive video frames, where the foreground object, namely, a moving worm, can be represented by \( I_i(x,y) - I_{i-1}(x,y) \), where \( I_i \) denotes the image at the \( i \)th frame in a video. The foreground object is calculated for each frame, and differences between frames are assumed to account for worm motion (note that this assumption can be considered simplistic as videos are collected in noisy environments, and therefore, noise rectification steps are described below). Over the entirety of the video, the tracking result for each frame is concatenated, to generate the final trajectory of the moving worm.

As mentioned earlier, videos collected are often noisy. The most important sources of noise are that (i) the experimenter often changes the focus of the camera to more easily track the worm from a human perspective—such a change in focus introduces noise in to the `diff` operation as successive frames at the point of change can be very different; (ii) due to the camera’s perspective, it is sometimes hard to see the worm when it is crawling along maze walls. These types of noise usually result in spikes in the detected path (see Figure 4d, green line).

To rectify this, we solve a binary classification problem to classify every point on a trajectory as ‘noisy’ or ‘not noisy’ based on preceding trajectory points. Our two-step algorithm utilizes a user-defined threshold and the k-nearest neighbour (KNN) algorithm to classify noise points. As a first step, successive points are identified that are further from each other than from the user-defined threshold value; thus, noisy points are roughly detected. Next, they are ‘smoothed’ using KNN, as all the
points labelled as ‘not noisy’ in the first step are found and the label in the majority of the neighbouring points is assigned to the point in question. An outline for the two-step algorithm is given in the Supporting Information. The classified result is shown in Figure 4d.

Currently, the Maze Tracker does not track the three-dimensional motion of the worm, although C. elegans crawl both on the floor and on the walls of the maze (see for example Figure 4c and Gourgou et al., 2021). Motion on the maze walls is perceived as 2D motion. This follows the mathematical model, which does not account for C. elegans crawling on the maze walls. Moreover, the Maze Tracker does not allow for quantification of locomotion features, that is, omega turns and reversals; however, neither the experimental nor the model results depend on detailed locomotion events.

3 | RESULTS

We built a model of C. elegans chemosensory and locomotive circuitry, where food-triggered maze learning is achieved through hypothesized learning connections, stemming from reward-evoked neuromodulation. We first present results illustrating the relationship between simulated worms path curvature and activation of neurons involved in the chemotaxis process (training). We then show that, based on the simulated worm’s motion in response to food-released chemical cues, plasticity in the modelled circuitry reliably generates a turning bias in the worm’s motion, yielding behavioural results consistent with observed behaviour of living worms, before (training) and after learning (testing). We demonstrate the reliability of the model, which accounts for different worm trajectories in the maze environment, and we confirm and predict experimental results.

3.1 | Training results, food location and learning acquisition

The modelled neuronal component $\Gamma$ receives input from the motor circuit, and as a result, its activity tracks the instantaneous geometric curvature of the worm’s path. In order to test this encoding of curvature, we ran 10,000 simulations of a worm in the Training (food-baited) maze and compared path curvature to $V_\Gamma$ at every timestep. We found (Figure 5a) that $V_\Gamma$ was essentially a scalar multiple of curvature by finding a linear fit of $\text{Curvature} = 10.79V_\Gamma$ with $R^2 = 0.999$, suggesting that the connectivity of the network allows $\Gamma$ to track curvature very well (see also Supporting Information).

Next, we explored how C. elegans’ motion changes in the presence of a food gradient (Figure 5b,c). When the model worms do not detect food, the curvature of their paths is symmetric between ventral and dorsal
undulations (Figure 5b); however, upon food detection and the worm’s path turning up the food gradient, curvature shifts asymmetrically closer to zero, depending which body side the food is on. For example, when the worm is making a ventral (left) turn as in Figure 5c, the magnitude of curvature is smaller in the negative undulations (blue) than the positive undulations (yellow), as indicated by the colour bar.

We then asked whether there was any discernable relationship between the path curvature, the voltage of the chemosensory AWA neuron and food location (Figure 6). Indeed, there is a strong relationship between the three, especially when the worm first enters the junction of the maze and encounters the food gradient (Figure 6, yellow shaded area in graph, yellow highlighted portion of the worm path). In this part of the maze journey, the AWA voltage makes large oscillations due to the worm moving perpendicularly to the gradient. This means that in each undulation cycle, the worm heads up and down the gradient causing the AWA voltage to increase and decrease as well. This is an important part of the trajectory because here the worm first receives information about the location of the food in the maze. In fact, it turns out that the AWA voltage oscillates antiphase with $\Gamma$ voltage and thus path curvature, when food is on the left maze side, that is, on the worm’s ventral body side (Figure 6a) and in phase with $\Gamma$ voltage and path curvature when food is on the right maze side,

![Image](a)

![Image](b)

**Figure 6** Correlations between worm trajectory to food position and AWA/$\Gamma$ activity during training help establish turning bias. Pirouettes are turned off for clarity. (a) Food on the left maze arm. Left panel: trajectory of a worm finding the food; right panel: voltages of AWA and $\Gamma$ (related to path curvature) over time. The worm starts detecting food at about 20 s (grey shaded area) and reaches the junction of the maze at about 40 s. For the next 20 s, AWA and path curvature are antiphase (yellow shaded area) and until the worm’s path is aligned with the food gradient at about 60 s. After that, AWA voltage increases until it saturates. (b) Food on the right maze arm. Left panel: trajectory of a worm finding the food; right panel: voltages of AWA and $\Gamma$ over time. The worm starts detecting food at about 20 s (start of grey shaded area) and reaches the junction of the maze at about 40 s. In this case, AWA voltage and curvature are in phase for the next 20 s (yellow shaded area) and until the worm’s path is aligned with the food gradient at about 60 s. After that, the signal becomes stronger until it saturates.
that is, on the worm’s dorsal body side (Figure 6b). This justifies the modelling of \( \zeta \) (Equation 9) by showing that it increases when \( \Gamma \) and AWA voltages are in phase and decreases when they are out of phase, providing a method for discriminating the source of the food scent. As a result, when \( \zeta \) is above zero at the end of training, we expect the food to have been on the right side of the maze, and if it is below zero at the end of training, the food is expected to have been on the left side of the maze.

As a hypothetical mechanism for \( \Gamma \) to dynamically encode curvature properties of the trajectory taken to the food reward, the variable \( \zeta \) was used to dynamically vary the resting potential, \( V_{0,\Gamma} \) of \( \Gamma \) (see Equation 8) through the training session. The value of \( V_{0,\Gamma} \) reached at the end of the training session reflected whether the food was on the right (\( V_{0,\Gamma} > 0 \)) or left (\( V_{0,\Gamma} < 0 \)) side of the maze (Figure 7). Indeed, we found that \( V_{0,\Gamma} \) could accurately predict the reward location more than 88% of the time (Figure 7).

As shown in Figure 7, more than 10% of simulated worms attain biases opposite what we might expect. This can happen when the worms’ frame of reference changes so that the food gradient is stronger on its other side. For example, in Figure 8, Worm 1 takes a path where the peak of the food signal gradient is always on its ventral (left) side, leading to a negative final value of \( \zeta \) and, in turn, of \( V_{0,\Gamma} \) (red curve, right). Worm 2, on the other hand, takes an identical path to Worm 1 for the first 63 s but then pirouettes and crosses the horizontal maze arm so that it becomes oriented with the peak of the food gradient on its dorsal (right) side, leading to a positive final value of \( \zeta \) and, in turn, of \( V_{0,\Gamma} \) (red curve, right). For an example of a simulated worm that had a positive value for \( V_{0,\Gamma} \) even though food was on the left maze side, see Figure 8, Training/Testing Worm C.

**Figure 7** The resting potential \( (V_{0,\Gamma}) \) of \( \Gamma \) changes depending on food location. At the end of training, 87.7% of 1000 simulated worms had a negative value for \( V_{0,\Gamma} \) when food was on the left maze side (grey shaded area), whereas 88.4% of 1003 simulated worms had a positive value for \( V_{0,\Gamma} \) when food was on the right maze side (green shaded area). For an example of a simulated worm that had a positive value for \( V_{0,\Gamma} \) even though food was on the left maze side, see Figure 8, Training/Testing Worm C.

**Figure 8** Dynamic evolution of a turning bias. (a) Two simulated worms in the training maze, food placed at the left maze arm. Worm 1 (red line) finishes training (reaches the food) with the peak of the gradient on its ventral (left) body side. Worm 2 (blue dashed line) takes an identical path to the food as Worm 1 (red and blue paths overlap), except at 63 s, it crosses the horizontal maze corridor shortly before it reaches the food, so that it finishes training (reaches the food) having the peak of the gradient on its dorsal (right) body side. (b) Resting potential \( V_{0,\Gamma} \) over time, corresponding to the worms in (a). For both worms, \( V_{0,\Gamma} \) hover around 0 between 0 and 37 s (blue and red curves overlap), then the worms start to detect the gradient on the ventral body side of the worm (37–63 s), so \( V_{0,\Gamma} \) starts to decrease. In Worm 1, this decrease continues as the worm continues its trajectory (63-s end), resulting in the Worm 1 finishing the trial with a positive value of \( V_{0,\Gamma} \). In Worm 2, however, \( V_{0,\Gamma} \) sharply increases at 63 s when the worm crosses the corridor (and the gradient) perpendicularly so that its peak now lies on the dorsal body side of the worm. This leads to the Worm 2 finishing the trial with a positive value of \( V_{0,\Gamma} \). Consequently, Worms 1 and 2 are expected to have acquired a different bias, although they both reached the food on the left maze side.
signal gradient now on its dorsal (right) side (blue dashed curve, right). As shown in Figure 6, the largest changes in AWA membrane potential occur when the worm is travelling perpendicularly across the food gradient. This means that between 63 and 75 s, \( V_{0,F} \) increases significantly, and by the end of training, Worm 2 develops a right (dorsal) bias despite the food originally being on the left (ventral) side of the worm. In fact, the vast majority of the opposite biases acquired in the simulations are attributed to worms moving this way, potentially similar to the living nematode in Example 4, of Figure 11 and the simulated Worm C of Figure S8 (see also Suppl. Video SI Video 5).

3.2 | Testing results and learning expression

After implementing this method of dynamically encoding the location of the reward in relation to the model worm, we investigated how to bias locomotion in a testing maze, absent of a food gradient. A simplified and pronounced example of how to induce a turning bias is presented in Figure 9. In this example, \( \Gamma \) delivers an oscillating input to the motor neurons starting at 20 s, for various values of \( V_{0,F} \). This achieves asymmetry in the VMN/DMN-governed undulated path. Depending on whether the input is in-phase or antiphase with path curvature, the

\[ \text{Figure 9} \] Generating a turning bias during Testing. (a) A worm is travelling with \( \phi \) the average direction of motion (Figure S3A), constant and equal to \( \frac{\pi}{2} \), moving straight forward. Then an oscillating input with a positive mean is given to the ventral motor neuron (VMN) and dorsal motor neuron (DMN) (graph, warm colour lines), which is antiphase to the path curvature (graph, blue line). This causes the worm to turn left or toward the ventral side/counterclockwise (curvature visualization). (b) A worm is travelling with \( \phi \) constant and equal to \( \frac{\pi}{2} \), moving straight forward. This time an oscillating input with a positive mean is given to the VMN and DMN (graph, warm colour lines), which is in phase with the path curvature (graph, blue line). As a result, the worm turns right or towards the dorsal side/clockwise (curvature visualization). Note that in both cases (a and b), the closer the mean of the oscillating input is to 0, the weaker the bias. Also, the change in the direction of locomotion is evident from the change in curvature maximums and minimums (both graphs, dashed lines). In (a), once the input is applied, the minimums and maximums are both closer to 0; however, the change in minimum (red arrow) is greater than the change in maximum. Similarly, in (b), the maximum and minimum get both closer to 0, but this time, it is the maximum that presents the greater change (red arrow).
worm will make a dorsal (right) turn or a ventral (left) turn, respectively. In any case, the severity of the turn varies with the mean of the input.

In the neuronal circuit model, we can reliably generate similar inputs to the motor neurons, and thus induce a turning bias, by using \( V_{0,G} \) to bias \( \Gamma \) voltage and by activating the learning connections (Equation 14). Suppose, for example, that the worm finishes the training maze with a positive value for \( V_{0,G} \), signifying that the worm made a dorsal/right turn to find food. Then during locomotion in the testing maze, \( V_{\Gamma} \) will be oscillating in-phase with path curvature around its positive mean, \( V_{0,G} \). Activation of the learning connections whose input is weighted by \( w_{\Gamma} \rightarrow X_{\text{MN}} \) yields a positive, oscillating input to the motor neurons. As we would expect from Figure 9b, this causes a dorsal (right side/clockwise) turning bias. Similarly, if the worm finishes the training maze with a negative value for \( V_{0,G} \), then in the testing maze \( V_{\Gamma} \) will be oscillating in-phase with path curvature around its negative mean, \( V_{0,G} \). However, now \( w_{\Gamma} \rightarrow X_{\text{MN}} \) is negative, so the input of the learning connections to the motor neurons has a positive mean and is making oscillations antiphase to the worm’s path curvature, causing a ventral (left side/counterclockwise) turning bias (Figure 9a). Thus, both the amplitude of change in \( V_{0,G} \) and its sign (positive vs. negative) contribute to encoding the location of the food relative to the worm’s position.

Notably, this process accounts for more than just a binary decision of either a ventral or dorsal turning bias, because it generates stronger or weaker biases depending on the value of \( V_{0,G} \). This is highlighted in Figure 9a,b, where different magnitudes of input to motor neurons are presented, oscillating around three different means (warm colour lines). As illustrated in the curvature visualization panels of Figure 9, this results in biases of varying strengths.

### 3.3 Cumulative results and model Worms paths

To quantitatively test the model’s ability to replicate maze learning in *C. elegans*, we simulated 10,000 trials of the maze learning experiment (Figure 1, and Gourgou et al., 2021). In each trial, we first simulated a worm in the training maze with food on the left maze end, and if that worm located the food, we activated the learning connections in the model circuit and ran the simulation in the testing maze without the food gradient. The simulated worm learned successfully if the first maze end it reached was the left maze end. We then ran 10,000 trials with food on the right side of the training maze. After running all of the training/testing pairs, we found that model worms located the reward during training (Figure 10, grey shaded area) and successfully learned the reward location (Figure 10, green shaded area) at similar percentages as observed experimentally (Figure 1).

The model allows for an intermediate check of the number of worms that acquired the correct turning bias during training, namely, the number of trials in which we would expect the worm to exhibit learning in the testing maze based on the acquired \( V_{0,G} \) bias alone (Figure 10, non-shaded area). It is hard to compare this

![Figure 10](image_url) Model statistics. In 10,000 trials of the training maze with reward on the left maze arm and 10,000 trials with reward on the right maze arm, 77% and 78%, respectively, of the model worms located the food (grey shaded area). Of the worms that successfully located their reward, 87% and 89%, respectively, were biassed ‘correctly’, meaning they acquired a dorsal bias when reward was on the right maze side and a ventral bias when reward was on the left maze side (non-shaded area). Finally, 72% and 74%, respectively, of the worms that located the reward during training visited the same side in the testing maze (green shaded area). Results agree with experimental data (see Figure 1)
with an experimental result, because it is challenging to distinguish between the stages of learning acquisition and learning expression experimentally; however, in most of the simulated worms, the model learning mechanism is effectively activated.

We also explored whether the path trajectories of simulated worms were similar to those taken by actual worms in the maze experiments. To that end, we used a custom-built algorithm, the Maze Tracker, to track living nematodes as they traversed T-mazes. As shown in Figure 11, Column A, *C. elegans* often explored the starting area of the Training maze before migrating north towards one of the maze ends. Some initial exploration also took place in the Testing maze, but pirouetting occurred less frequently. Although tracking results of Figure 11a do not account for the total population of worms examined, they are indicative of potential routes followed.

Approximations of the four experimental Training trajectories were then used to train the model (Figure 11b, Training), and the resulting turning bias was used to seed 100 testing simulations (Figure 11b, Testing). This led to the model Testing outcome agreeing with the experimental Testing outcome in 78–81% of simulations. Interestingly, the high agreement was even present in Example 4 in which the experimental *C. elegans* exhibited a clockwise bias in the Testing maze and did not reach the correct maze arm. In the Training maze, this worm approached the food area having the food on its right body side (dorsal, for the simulated worm). Because the model suggests that it is the worm’s orientation with respect to the food signal, which is learned, as demonstrated in Figure 8, this leads to the model worm developing a clockwise (dorsal) bias as well. Although this type of path trajectory was not taken by all experimental worms that did not exhibit learning, it is exciting that in

![Figure 11](image-url)
this case, both the real and the simulated non-learners displayed a similar behaviour when approaching the reward. We trained the model on 24 additional experimental trajectories, finding that in total, the model results generally matched experimental testing results in 11 out of 14 trials where the *C. elegans* expressed learning and in 5 out 10 trials where the *C. elegans* did not (Figure S10). For a detailed description of model worms’ paths and biases, see also Figure S8.

The hypothesis of turning bias acquisition can be further tested experimentally by tracking the locomotion of worms placed on an open surface after training, instead of the testing maze. If a turning bias is acquired, then according to the model, nematodes should be moving with a clockwise or counterclockwise turning bias, even in the absence of a maze structure. If food was on the left arm of the training maze, nematodes would be expected to receive a counterclockwise bias, while if the food was on the right arm, they would be expected to receive a clockwise bias. Indeed, in a simulation of this experiment, when trained with food on the left maze arm, the model predicts that worms spend 71% of the time moving in a counterclockwise direction, 19% in a clockwise direction and 10% moving straight (Figure 12, green bars).

However, this prediction is expected to be only partially corroborated by experimental data. Although a turning bias may be acquired during training, steering nematodes to follow a clockwise or counterclockwise biassed motion, *C. elegans* interaction with maze walls and floors provides mechanosensation-perceived information important for learning (Gourgou et al., 2021). This is not accounted for in the model. Indeed, when an experiment was performed to test this prediction, living worms spent only 61% of the time moving in a counterclockwise direction when tested on a flat NGM plate, after their maze training (Figure 12). This is still a significant portion time compared with the portion of time spent moving clockwise (32%) and straight (7%); therefore, the model’s prediction is indeed partially confirmed, due to the acknowledged exclusion of modelling the structural maze features and the nematodes’ interactions with them. This interesting observation showcases the necessity of evaluating modelling results in combination with experimental data. The crosstalk of the two can be highly informative.

4 | DISCUSSION

4.1 | Foundations of the model

Biology-based neural circuit modelling is a promising and emerging approach that can assist in understanding how the neural circuits process, represent and store information (Nair et al., 2016). Favourably, the idea that computational models will contribute to understanding how behaviour at the organismal level emerges from the properties of lower level circuits (Marder, 2012) is broadly accepted.

The model proposed here, which is based on biophysical principles, aims to explore a neuronal mechanism that could potentially mediate a recently reported learning behaviour (Gourgou et al., 2021) in an invertebrate

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**Figure 12** Comparison of open surface locomotion bias in simulated and experimental *Caenorhabditis elegans* during testing: Both model and experimental worms were trained in a T-maze with food placed on the left maze arm. Next, instead of a testing maze, they were placed on an open, flat surface (nematode growth medium [NGM] plate for the experimental ones). Graph shows the percentage of worms, which exhibited a clockwise (right turning) bias, a counterclockwise (left turning) bias or moved straight ahead, during testing. Grey: Bars indicate the results for \( n = 41 \) experimentally tested nematodes (N2 wild type, Day 1 adults, fully fed); green: 10,000 simulations run with \( n = 41 \); bars indicate the mean, and error bars indicate the lower and upper bound of the 95% percentile. For details on determination of the clockwise/counterclockwise motion of experimental animals, see Supporting Information.
experimental system. In this novel paradigm, young adult *C. elegans* learn to reach a target maze arm in an empty, testing maze, after successfully locating and tasting reward (food) in a training maze (Figure 1). The idea is to consider a simple, minimal circuit that could mediate learning under these conditions. The goal is to create a mathematical framework that will continue to evolve as experimental results keep flowing in. Hence, the two thrusts can be in a constant crosstalk, to eventually identify the neural mechanisms that mediate this maze learning behaviour.

The presence of food/reward at one end of the maze (Figure 2) is what triggers the modelled behaviour and activates the neuronal circuit in this study (Figure 3). In experiments, when *C. elegans* locate and reach the food, a reward is received. To understand how *C. elegans* learn from receiving a reward, we considered how they reach the reward in the first place. It is well established that *C. elegans* approach food using two different forms of chemotaxis: klinotaxis and klinokinesis (Izquierdo & Lockery, 2010; Pierce-Shimomura et al., 1999), also known as the weathervane (Iino & Yoshida, 2009) and pirouette (Dusenbery, 1974; Dusenbery, 1980) mechanism, respectively. *C. elegans* only need one of these motion forms for successful chemotaxis; however, they often use a combination of the two to locate food as quickly and efficiently as possible (Iino & Yoshida, 2009).

We considered both motion forms to identify a minimal candidate process for the *C. elegans* to navigate in the training maze. Therefore, the modelled worms reach food through a combination of klinotaxis and klinokinesis, shifting to more dominant klinotaxis as the worm moves up the attractant gradient. As a result, klinotaxis-like motion continues to be more prevalent throughout testing; however, remnants of klinokinesis are still present with the reduced pirouette rate (Equation 13 and Sections 3 and 2.7).

The reward-triggered nature of the maze behaviour affects the model in multiple ways. It is known that dopamine is important for learning and memory (Schultz, 2007; Wise, 2004) and that it is particularly involved in reward-related incentive learning (Arias-Carrión et al., 2010). The role of dopamine in *C. elegans* nervous system has been well studied (Wintle & van Tol, 2001), and its significance for nematodes’ non-associative and associative learning has been established (Ardiel & Rankin, 2010; Kindt et al., 2007; Sanyal et al., 2004). Therefore, it is logical to hypothesize that the dopamine pathway is involved in the maze behaviour. Indeed, in Gourgou et al. (2021), it was shown that a *dop-3* mutant strain, which lacks a dopamine receptor, shows compromised maze performance, although the dopamine-mediated mechanism was not further explored. Similarly, *C. elegans* reward-triggered improved maze performance was abolished in the dopamine-poor mutant cat-2 (Qin & Wheeler, 2007).

Here, the suggested model takes advantage of the neuromodulatory effect of dopamine, when it assumes the emergence of synaptic signalling from the neural component $\Gamma$ to the VMN and DMN motor neurons as a result of locating the food (Figure 3). This is based on the concept that otherwise silent synaptic connections are strengthened under the effect of reward-evoked dopamine. Thus, the ability of the circuit to mediate learning stems from the dopamine-induced plasticity of the $\Gamma$ component. Indeed, it is well established that neuronal dynamics and neuromodulatory mechanisms reconfigure circuits (Marder, 1984) to make them capable of variable outputs under modulator control (Marder, 2012).

Maze learning experimentally observed in *C. elegans* resembles spatial working memory (Klingberg, 2010), due to its short timeframe and sensitivity to distraction (Gourgou et al., 2021). Working memory is attributed to increased dopamine receptor density in the brain (Goldman-Rakic, 1995; Klingberg, 2010) and increased persistent neuronal activity (Compte et al., 2000; Goldman-Rakic, 1995). In addition, enhanced functional connectivity, dopamine release and sensitivity are of key importance in the overall mechanism of working memory (Constantinidis & Klingberg, 2016). Therefore, existing literature supports the synaptic facilitation and plasticity assumed in the model as the basis of maze learning.

Importantly, model worms locate the food and learn to reach target maze locations (Figure 10) at similar percentages as observed experimentally (Figure 1). The difference between the percentage of model worms that acquired the correct bias and the percentage of worms that expressed learning (Figure 10) could be attributed to the effect of noise or to pirouette-induced distraction during testing. Interestingly, the comparison between the path trajectories of experimental and simulated worms (Figure 11) confirms the model’s ability to realistically reproduce *C. elegans* locomotion in the maze environment, both in the presence of food (training) and during testing. This is a welcomed strength, because we did not rely on trajectory-describing metrics to build the model; hence, the ability of the model to successfully reproduce *C. elegans* trajectories came as a result of the circuit’s properties.

### 4.2 Limitations of the model

The modelled circuit includes a chemosensory neuron, interneurons and motor neurons, with the addition of neuronal components that are responsible for
locomotion features and enable learning (Figure 3). Experimental results (Gourgou et al., 2021) show that *C. elegans* performance in the maze is a multisensory behaviour and requires the contribution of mechanosensation (for food location and learning), and importantly, of proprioception (for learning). The current modelling effort constitutes the first attempt of a parsimonious model capable of capturing *C. elegans* maze learning under certain conditions. We opted for a simple circuit, with only external chemosensory input. At the same time, although the model does not assimilate any mechanosensory input, the notion of proprioception is present, without explicitly modelling proprioceptive neurons. To this end, the assumed component Γ, which monitors curvature, could represent a neuron expressing mechanosensitive channels involved in proprioception, for example, transient receptor potential—no mechanoreceptor potential C (TRPC) and transient receptor potential—canonical (TRPC) (Li et al., 2006). This way, the function of monitoring motion curvature, which is pivotal in the proposed model (Figures 5 and 9), would be tied to monitoring body bending.

*C. elegans* body orientation while traversing the maze is found not to be of critical importance for learning, but it could still be a contributing factor for some of the experimental results (Gourgou et al., 2021). In the proposed model, ventral/dorsal body orientation was taken into account, and in fact, it was important for the model worms to acquire a turning bias (Figures 6–8). It is possible that in living worms, the contribution of body orientation is replaced with more detailed proprioceptive cues on the body posture and motion, as well as with feedback on the body’s interaction with the structural features of the maze (Gourgou et al., 2021). Indeed, experimental data suggest that multiple TRP channels, which are known to mediate proprioception in both mid-body and the head area (Han et al., 2017; Yeon et al., 2018), were involved in maze learning (Gourgou et al., 2021). Incorporating multisensory integration is a main goal as we work to update and fine tune the model. At the same time, it is interesting that the suggested model can account for learning with just chemosensory input and targeted key assumptions.

Lastly, simulated worms pirouetted less in general than the actual worms (Figure 11). It is well established that when a *C. elegans* encounters an obstacle with its nose tip, it usually backs up and pirouettes (Kaplan & Horvitz, 1993; Riddle et al., 1997), and the plasticity of the turning behaviour has also been reported (Calhoun et al., 2014). Although this was not always the case when *C. elegans* encountered the maze walls in the maze experiments (Gourgou et al., 2021), as nematodes might start climbing up the wall, they certainly sometimes engaged in similar obstacle avoidance behaviour. This behaviour is omitted from the model to keep the network minimal. *C. elegans*’ interaction with the maze walls is modelled only coarsely, also because no three-dimensional locomotion is considered.

### 4.3 Predictions of the model

Predictions generated by the model are either confirmed by experimental results, or they propose a number of experiments that would further elucidate the maze learning mechanism. As a first indication, an almost identical percentage of experimental and simulated worms reach the same maze side in training and testing (Figures 1 and 10), confirming the overall dependability of the model.

Qualitative and quantitative comparisons between living and simulated worms endorse the key model hypothesis of the Γ curvature-monitoring component. Given that *C. elegans* use a varying combination of klinotaxis/klinokinesis to maximize food location efficiency and rapidity (Iino & Yoshida, 2009), we conclude that the klinotaxis/klinokinesis mix changes during training and shifts in favour of klinotaxis once the worm orients itself towards the food. Consequently, one could expect that when they learn, nematodes acquire a mainly klinotaxis-based turning bias. This is reflected in the modelled circuitry where in trained worms, Γ causes a weathervane-like clockwise or counterclockwise turning bias; however, as explained above, the model nematodes’ motion in the testing maze comes partially as a result of dampened klinokinesis (reduced pirouette rate), which allows the turning bias to take effect.

As a result, the model predicts that locomotion of successfully trained nematodes is different than of naïve worms, in two ways. First, in an empty maze, trained model *C. elegans* pirouette noticeably less often than untrained ones (see Sections 2 and 2.7). Second, trained model worms’ paths consistently present either a clockwise or counterclockwise bias. Indeed, many of the experimental worm paths also show reduced pirouette rate during testing (Figure 11a). The similarities extend also to the turning bias, because in each example of Figure 11a, the worm’s path in the testing maze features a strong curve, which is absent in the training maze. This was investigated more thoroughly by analysing the movement of *C. elegans* that were allowed to roam on an open surface after being trained in the training maze (Figure 12). It was found that living worms exhibited noticeable turning biases as suggested by the in silico experiments, providing further support for the model.

The increase in performance can be attributed to two factors. First, worms that were biased towards the food
arm tended to develop stronger biases towards the food arm because magnitude of the resting potential of $\Gamma$ tended to increase. Second, worms that were biased away from the food were less successful in the next training maze, meaning less of them were allowed to move on to the next phase of the experiment. We found that worms that acquired strong biases towards the food arm were able to successfully complete the subsequent training more than 95% of the time (Figure S9) and almost always retained a strong bias towards the food arm. Worms with weaker biases successfully completed the subsequent training about 85% of the time and developed stronger biases approximately 80% of the time. However, only about 55% of worms that were biased away from the food arm were able to successfully complete the training maze. Altogether this meant that by the end of the fourth round of training, nearly all worms were strongly biased towards the maze arm, implying that *C. elegans* may be able to learn more effectively with a repeated training protocol.

Furthermore, as explained above, the model hypothesizes a decisive role for reward-mediated plasticity, perhaps through dopamine signalling. The contribution of the dopamine pathway, of neurons expressing dopamine receptors and of dopaminergic neurons in *C. elegans* spatial maze learning, has not been investigated. Several experiments can be conducted to test this prediction, including, but not limited to, genetic ablation or inactivation of targeted neurons, strains with loss-of-function mutations of dopamine receptors components and targeted use of dopamine inhibitors.

Another major model hypothesis is the function of $\Gamma$, as a neuronal component that monitors motion curvature and is subject to neuromodulation-driven plasticity. Consequently, a series of experiments can be designed to test targeted candidate interneurons or command motor neurons. Note that this role could be played by a collection of neurons with feedback connections.

### 4.4 Model extensions

A very exciting property of the proposed mathematical framework is its ability to operate as a platform for modelling efforts of more complex phenomena, like ageing. Gourgou and colleagues (Gourgou et al., 2021) report maze learning deterioration in middle aged animals. The exact component or operation of the steering neuronal circuitry that is affected by ageing remains to be elucidated. However, the finding of ageing-driven learning decline in *C. elegans* corroborates previous work (Arey et al., 2018; Kausler, 1994).

The proposed model offers three sites, namely, model parameters, that could potentially be associated with ageing-driven learning deterioration (see also Supporting Information): (i) $w$ (Equation 1 and Table S1), which is the magnitude of the connection between $\Gamma$ and the ventral and DMNs, (ii) $k$ (Equation 9 and Table S5), which controls the sensitivity of the bias term $\zeta$ to sensory input and (iii) $m$ (Equation 8 and Table S5), which is the maximum magnitude of the change in resting potential of $\Gamma$ as a result of learning.

Reduced magnitude of the connection between $\Gamma$ and the motor neurons is related to the learning connections (red arrows in Figure 3). Physiologically, this corresponds to ageing-related decreased ability to achieve working memory (Leung et al., 2015; Mattay et al., 2006) through strengthening synaptic connections. These connections in the model are hypothesized to be the result of dopamine-mediated neuromodulation. Interestingly, the dopamine system is reported to undergo significant age-related decline (Backman et al., 2006; Morcom et al., 2010).

Reduced sensitivity of the bias to sensory input would mean that the turning bias acquired by $\Gamma$, which is then input to VMN/DMN motor neurons, is weaker. This would result from a reduced signal that $\Gamma$ receives from its upstream neurons, including sensory ones, or from reduced susceptibility of $\Gamma$ to the input. Therefore, such a change could be justified by ageing-related decline in secondary sensory neurons performance, which has been reported to occur in a context-specific manner (Leinwand et al., 2015) and has been correlated to impaired neurotransmission production (Leinwand et al., 2015).

The third ageing-related model target refers to reduced maximum magnitude of the resting potential of $\Gamma$ as a result of learning. This represents the sensitivity of $\Gamma$ to the turning bias signal received in the form of input from the motor neurons during training or the ability of $\Gamma$ to induce cellular plasticity. The mechanism of bias acquisition is not explicitly modelled here; therefore, the exact biological mechanism by which ageing could affect it is not clear. However, the suggested modification could be related to reduced neurotransmission (Segovia et al., 2001), age-related alterations in neurotransmitter receptors (Lippa et al., 1981) or ageing-related functional decline of ion channels (Branch et al., 2014; Cai & Sesti, 2009).

Since ageing is a systemic phenomenon, we investigated the effect of all three interventions combined, and the outcome is presented in Figure 13 and in a web-based interactive figure (http://www-personal.umich.edu/~bennets/aging_figure.html). The modelled circuitry and parameters presented in this work refer to young adults ($w = 0.2$, $m = 0.7$, $k = 1$) and are capable of successful learning as it operates at the yellow/orange area of the
surface plot in Figure 13c. Ageing-derived decreases in each of these parameters reduce the percentage of simulated worms that exhibit successful learning in the testing maze. The effect of each individual potentially ageing-related parameter (w, k, m) on worm learning is shown in Figure S5.

It is noted that in the present work, ageing is not modelled on a biophysical basis. At the same time, we consider it important that the model is constructed in a way that welcomes future extensions and stands capable of integrating physiological mechanisms that could impact the core hypothesis of learning. Lastly, whether maze learning in C. elegans is an adaptive behaviour or a side effect of associative learning remains to be seen. Deciphering the complete neuronal circuitry that steers this behaviour may help shed light on this question. We hope that the mathematical framework presented here can contribute to this effort.

5 | CONCLUSIONS

Mathematical modelling does not have to act a posteriori to the experimental component of a research effort but instead can spark experimentation by proposing a priori a justified hypothesis (Karbowksi, 2019). We aim to enhance this process with the introduction of this biophysically based mathematical model for chemosensory and locomotive neural circuitry in C. elegans that is capable of reproducing experimentally observed learning behaviour in a T-maze. While we have taken a parsimonious modelling approach, a strength of the proposed model is the generation of several experimentally testable hypotheses. These hypotheses refer to the neural mechanisms that generate plasticity in C. elegans' neural circuitry that may be responsible for the observed learning behaviour. In addition, our model framework acts as a platform for investigating effects of other phenomena involved in worm maze learning, such as ageing.

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CONFLICT OF INTEREST
The authors state that they have no conflict of interest.

AUTHOR CONTRIBUTIONS
BGS built the mathematical model, ran simulations, analysed data, generated figures and wrote the manuscript. ZL and JS created the Maze Tracker algorithm, analysed experimental videos and contributed to manuscript writing. SB assisted with building the Maze Tracker and edited parts of the manuscript. VB provided advice and input on model development, reviewed and edited the manuscript and helped with supervising research. EG conceived the idea, generated figures, collected videos, analysed data, wrote and edited manuscript and supervised research. All authors reviewed and approved the manuscript.

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The data that support the findings of this study are available from the corresponding author upon reasonable request.

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