Automatic tracking and deformation measurements of red blood cells flowing through a microchannel with a microstenosis: the keyhole model

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This study aimed to assess the motion and its deformation index (DI) of red blood cells (RBCs) flowing through a microchannel with a microstenosis using an image analysis-based method. For this purpose, a microchannel having a smooth contraction was used and the images were captured by a standard high-speed microscopy system. An automatic image-processing and analysing method was developed in a MATLAB environment to not only track the motion of RBCs but also measure the DI along the microchannel. The keyhole model, tested in this study, proved to be a promising technique to automatically track individual RBCs in microchannels.

Keywords: automatic tracking; keyhole model; red blood cells; deformation index; microfluidics

Introduction

Ever since the clinical significance of red blood cells (RBCs) deformability became a possible way to diagnose several pathologies, many methods of measuring this phenomenon have been proposed. Some examples are the RBC filtration (Gueguen et al. 1984), laser diffraction ellipsometry (Shin et al. 2004), rheoscopy (Dobbe et al. 2002) and micropipette aspiration (Mokken et al. 1992). Recently, by using a soft lithography technique, it was possible to fabricate transparent micrometre-sized channels to study motion (Abkarian et al. 2008; Lima et al. 2008, 2009, 2012; Fujiwara et al. 2009; Leble et al. 2011; García et al. 2012) and dynamical deformation (Yaginuma et al. 2011, 2013; Pinho, Yaginuma, et al. 2013; Faustino et al. 2014; Rodrigues et al. 2014) of cells flowing through microchannels. However, the majority of both cell tracking and deformation measurements are often made by using manual methods. These methods are extremely time-consuming and may introduce operator errors into the data.

During the last years, several researchers have been developing different kinds of automatic particle tracking (APT) tools either as plugin for Image J (Sbalzarini and Koumoutsakos 2005; Smith et al. 2011; Meijering et al. 2012) or as a MATLAB module (Meijering et al. 2012; Pinho, Gayubo, et al. 2013). Promising APT plugins for Image J are ‘ParticleTracker’ (Sbalzarini and Koumoutsakos 2005) and ‘SpeckleTrackerJ’ (Smith et al. 2011). Although both plugins can perform automatic tracking in an extremely fast way, these methods are still under development as the tracking trajectories tend to fail, especially at high haematocrits (Hcts). Recently, Pinho, Gayubo, et al. (2013) developed a MATLAB module to track automatically labelled RBCs flowing through a microchannel. Using fluorescent labelling, several individual RBCs were able to track automatically as bright object against a darker background. However, this method still requires some consuming time by the user to perform tracking and is not able to measure RBCs deformability flowing along the microchannel. Hence, it is crucial to develop a fast automatic method that is able to not only track individual RBCs but also measure their deformability.

In this study, we propose an automatic image analysis technique based on the keyhole model to characterise the motion and deformation of RBCs flowing through a microchannel having a smooth contraction shape. In this geometry, the mechanical properties of RBCs are under the effect of both simple shear and extensional flows.

In this study, we propose an automatic image analysis technique (MKHTrackCells), based on the keyhole-tracking algorithm that describes the probable movement of RBC (Reyes-Aldaroro et al. 2007). First, a sequence of binary images containing segmented foreground objects are obtained by pre-processing videos, and then tracks are formed by linking the objects with common optical flow in contiguous frames. Finally, we measure the deformation of individual RBCs flowing through a microchannel having a hyperbolic contraction. In this geometry, the mechanical properties of RBCs are under the effect of a strong extensional flow.

Optical flow segmentation is usually defined as a group of pixels of similar intensity that are associated with smooth and uniform motion information. Low-level
motion segmentation tries to group pixels with homogeneous motion vectors without taking any other information apart from intensity or image gradient. High-level motion segmentation divides the image into regions that exhibit coherent motion and also uses other image cues to produce image segments that correspond to projections of real RBCs.

Our method takes the spatial atomic regions produced by the watershed algorithm and a variational motion estimation method and combines them into a complete algorithm producing a reliable motion segmentation framework that is used in the tracking step.

Materials and methods

Working fluids and microchannel geometry

The working fluid examined was composed of Dextran 40 containing ~2% of human RBCs (i.e. Hct, ~2%). The blood used was collected from a healthy adult volunteer, and ethylenediaminetetraacetic acid was added to the samples to prevent coagulation. The blood samples were then washed by centrifugation and then stored hermetically at 4°C until the experiments were performed at a temperature of ~37°C.

The microchannels containing the smooth contraction were produced in polydimethylsiloxane (PDMS) using a standard soft-lithography technique from a SU-8 photore sist mould. The moulds were prepared in a clean room facility by photo-lithography using a high-resolution chrome mask. The geometry of the fabricated microchannel is shown in Figure 1. The channel has a constant depth of 51 μm throughout the PDMS chip and the width of the upstream and downstream channels was the same, cf. \( W_1 = 50 \mu \text{m} \). The minimum width in the contraction region \( W_2 \) is 10 μm.

For the microfluidic experiments, the device containing the microchannel was placed on the stage of an inverted microscope (IX71, Olympus, Tokyo, Japan) and the temperature of the stage was adjusted to 37°C by means of a theroplate controller (Tokai Hit, Shizuoka, Japan). The flow rate of 1 μL/min was controlled using a syringe pump (KD Scientific Inc., Holliston, MA, USA). The images of the flowing RBCs were captured using a high-speed camera (Phantom v7.1, Vision Research,
Wayne, NJ, USA) with the frame interval of 8000 fps and transferred to the computer for analysis. An illustration of the experimental set-up is shown in Figure 2.

Image analysis

The proposed methodology for image analysis has five major stages. First, we remove the background, noise and some artefacts of the original movie, as a pre-processing stage, obtaining an image only with the RBCs. Next, we create an over-segmented image, based on the initial magnitude gradient image, using the watershed transform. The optical flow information of these regions is obtained by using the variational method proposed by Brox et al. (2004). After that, the cell tracking links the atomic regions in contiguous frames, according to their motion, to form the tracks by means of a keyhole model proposed by Reyes-Aldaroro et al. (2007). Finally, we measure the deformation index (DI) of each RBC.

Pre-processing

At this stage, the image background is removed by subtracting the average of all movie images from each image. To improve the identification of RBCs, the image contrast is adjusted by histogram expansion.

Images taken with digital cameras will pick up noise from a variety of sources. As the watershed algorithm is very sensitive to noise, it is desirable to apply a noise reduction filter in the pre-processing step. Several filters have been proposed in the literature to reduce the spurious boundaries created due to noise. However, most of these filters tend to blur image edges while they suppress noise. To prevent this effect, we use the median filter. This filter preserves image structures while suppressing noise. Figure 3 shows the result obtained after pre-processing the image. For a better visualisation, we use the image negative.

Segmentation

Image segmentation is a fundamental step in image analysis systems, and aims to identify regions, the so-called segments that have a specific meaning within images. The regions have to be uniform with respect to some parameter, such as image intensity, texture or motion.

An ideal over-segmentation should be easy and fast to obtain and should not contain too many segmented regions, and it should have its region boundaries as a superset of the true image region boundaries. In this section, we present an algorithm step that groups pixels into ‘atomic regions’. The motivations of this preliminary grouping stage resemble the perceptual grouping task: (1) abandoning pixels as the basic image elements, we instead use small image regions of coherent structure to define the optical flow patches. In fact, because the real world does not consist of pixels, it can be argued that this is even a more natural image representation than pixels as those are merely a consequence of the digital image discretisation.

Watershed transform is a classical and effective method for image segmentation in grey-scale mathematical morphology. For images, the idea of the watershed construction is quite simple. An image is considered as a topographic relief where for every pixel in position \((x, y)\), its brightness level plays the role of the \(z\)-coordinate in the landscape. Local maxima of the activity image can be thought of as mountain tops, and minima can be considered as valleys.

In the flooding or immersion approach (Vincent and Soille 1991), single-pixel holes are pierced at each regional minimum of the activity image which is regarded as topographic landscape. When sinking the whole surface slowly into a lake, water leaks through the holes, rising uniformly and globally across the image, and proceeds to fill each catchment basin. Then, in order to avoid water
coming from different holes merging, virtual dams are
built at places where the water coming from two different
minima would merge.

We start by computing the image gradient magnitude
and remove the weakest edges by gradient minima
suppression (pre-flooding). Figure 4 shows the gradient
image, the image after applying a 5% of the gradient
maximum pre-flooding, and the image after applying the
watershed method.

Figure 5 shows the original RBC segmented by
watershed transform.

**Optical flow**

There is a strong interdependence between the definition
of the spatial support of a region and of its motion
estimation. On the one hand, the estimation of the motion
information of the region depends on the region of support.
Therefore, a careful segmentation of the regions is needed
in order to estimate the motion accurately. On the other
hand, a moving region is characterised by coherent motion
characteristics over its entire surface (assuming that only
rigid motion is permitted). Therefore, a precise estimation
of the motion is required in order to obtain an accurate
segmentation of the region.

All the motion estimation approaches assume that
there is a point correspondence between two consecutive
frames which induces dense motion vector field of an
image. No matter what method is used, at some stage we
need a mechanism to assign each point to one of the
recovered motions. This mechanism must take into
account the smoothness of the world, i.e. the intuitive
notion that the points belonging to the same motion are
also spatially clustered in the image.

Motion information will be initially represented
through a dense motion vector field, i.e. it estimates
which one best relates the position of each pixel in
successive image frames. For the task at hand, we adopt a
high accuracy optical flow estimation based on a coarse-
to-fine warping strategy proposed by Brox et al. (2004)
which can provide dense optical flow information. This
method accelerates convergence by allowing global
motion features to be detected immediately, but it also
improves the accuracy of flow estimation because it
provides better approximation of image gradients via
warping. This technique is implemented within a multi-
resolution framework, allowing the estimation of a wide
range of displacements.

Estimating optical flow involves the solution of a
correspondence problem. That is, which pixel in one frame
corresponds to which pixel in the other frame. In order to
find these correspondences, one needs to define some
properties that are not affected by displacement. The
combined variational approach (Brox et al. 2004) differs
from usual variational approaches by the use of a gradient
constancy assumption. This assumption provides the
method with the capability to yield good estimation
results even in the presence of small local or global
variations of illumination.

Given two successive images of a sequence $I(x, y, t)$
and $I(x + u, y + v, t + 1)$, we seek at each pixel $x := (x, y, t)^T$ the optical flow vector $v(x) := (u, v, 1)^T$ that
describes the motion of the pixel at $x$ to its new location
$(x + u, y + v, t + 1)$ in the next frame.

- **Grey-value constancy assumption.** It is assumed that
the grey value of a pixel is not changed by
displacement:

$$I(x, y, t) = I(x + u, y + v, t + 1).$$ (1)

- **Gradient constancy assumption.** A global change in
illumination both shifts and scales the grey values of
an image sequence. Shifting the grey values will not
affect the gradient. Although scaling the grey values

Figure 4. (a) Gradient image. (b) Result after the pre-flooding.
(c) Result after the watershed method.

Figure 5. Image with a black background and the segmented
regions with the original colour.

Grey-value constancy assumption. It is assumed that
the grey value of a pixel is not changed by
displacement:

$$I(x, y, t) = I(x + u, y + v, t + 1).$$ (1)
changes the length of the gradient vector, it does not affect its direction. Thus, we assume that the spatial gradients of an image sequence can be considered as constants during motion:

$$\nabla I(x, y, t) = \nabla I(x + u, y + v, t + 1).$$

(2)

- **Smoothness assumption.** If the model estimates the displacement of a pixel without taking into account any interaction with the neighbouring pixels, problems may occur. In addition, if only the flow in normal direction to the gradient can be estimated, then some outliers on the estimates are also expected. The smoothness of the flow will reduce these problems. Deviations from these assumptions of the model are penalised through the creation of an energy function. Considering $\mathbf{x}$ and $\mathbf{v}$, the global deviation between the grey-value constancy and the gradient constancy assumptions are measured by the following energy function:

$$E_{\text{Data}}(u, v) = \int_{\Omega} \psi(I(x + w) - I(x))^2 + \gamma (\nabla I(x))^2 \, dx,$$

(3)

where $\Omega$ is the region of interest over which the minimisation is done and $\gamma$ relates the weight between both assumptions. When the concave function $\psi$ is increased, the outliers do not get much influence on the estimation.

The smoothness assumption is motivated by the observation that it is reasonable to introduce a certain dependency between neighbouring pixels in order to deal with outliers caused by noise, occlusions or other local violations of the constancy assumption. This assumption states that disparity varies smoothly almost everywhere (except at depth boundaries). This means that we can expect the optical flow map to be piecewise smooth and it follows some spatial coherency. This is achieved by penalising the total variation of the flow field. Smoothness is assumed by almost every correspondence algorithm:

$$E_{\text{Smooth}}(u, v) = \int_{\Omega} \psi(|\nabla u|^2 + |\nabla v|^2) \, dx$$

(4)

where $\nabla$ represents the image gradient. The smoothness term gives a penalty to adjacent segments which have different motion parameters.

Applying non-quadratic penaliser functions to both the data and the smoothness term and also integrating the gradient constancy assumption result in the optical flow model described by the following energy function:

$$E(u, v) = E_{\text{Data}} + \alpha E_{\text{Smooth}},$$

(5)

where $\alpha$ is a positive regularisation parameter which balances the data and the smoothness terms. In our experiments, we use the value of 80. Now the goal is to find the functions $u$ and $v$ that minimise this energy.

To facilitate the visualisation of flow field, a representative RGB image is used, in which the colour indicates the direction of the displacement and the intensity indicates the magnitude (Figure 6).

Figure 7 represents the obtained optical flow for the studied microchannel.

**Tracking**

In the keyhole model, assuming that the child RBC (cell at frame $t$) moves in the same direction and velocity as its parent (cell at frame $t-1$), it is possible to predict the
position of the cell in the next frame. Two regions of probability where the RBC is most probable to be were therefore defined: a narrow wedge (60° wide) oriented towards the predicted position, and a truncated circle (300°) that complements the wedge; together they resemble a keyhole. This model was designed in a mask of $141 \times 141$ pixels, as shown in Figure 8, in which the keyhole has a wedge length of 60 pixels and the circle has a radius of 15 pixels. This design allows the keyhole model to rotate 180° within the mask.

Figure 9 shows the tracking of two selected cells along the microchannel with a smooth contraction. The RBC flowing in the centreline and far upstream of the contraction region has a mean diameter of about 25 pixels. In addition, the maximum velocity at the contraction region is around 12 mm/s.

**Deformation index**

DI is a dimensionless number which represents a degree of deformation of the circular object in 2D. Commonly used DI is obtained by the following formula:

$$DI = \frac{(a - b)}{(a + b)}$$

where $a$ and $b$ are the major and minor axes lengths of the circular object. DI values are between 0 and 1, and a perfect circle means $DI = 0$. When the object is strongly elongated, DI shows a high value. In order to obtain necessary axes lengths, the ‘regionprops’ function of MATLAB was used in the present method. Given the scalar ‘MajorAxisLength’ and ‘MinorAxisLength’, this function returns the major and minor axes lengths of the ellipse that is fitted to the object to measure.

**Results and discussion**

The proposed method (MKHtrackCells) was implemented to track four RBCs, represented in Figure 10, throughout a microchannel with a smooth contraction.

For RBCs 1 and 2, the proposed method could do the correct tracking along the microchannel and it was possible to measure their trajectories (see Figure 11). Note that the vertical red lines represent the microstenosis region. Regarding RBC 3, the method could not properly follow the cell throughout the microchannel because the colour of the cell was indistinguishable from the...
background colour, so that the image processing, including segmentation, could not identify the RBC 3 correctly, losing the region corresponding to the RBC 3. The Hct used in this study has also contributed to difficulties in tracking RBC 3. The region just after the microstenosis is the location where the tracking algorithm lost the RBC 3 and has identified other neighbour RBCs (see Figure 11(c)).

Figure 12 shows the DI along the microchannel for RBCs 1 and 2. We can observe that RBC 1 had a higher value when the cell was passing in the microstenosis region. For RBC 2, it is possible to observe that before the microstenosis, the DI value is relatively high when compared with RBC 1 DI. This is mainly due to the orientation of RBC 2 that is affected by a neighbouring cell, and therefore its initial geometry is not spherical as RBC 1. However, when the RBC 2 leaves the microstenosis, it begins to modify to an ellipsoid shape and consequently its DI tends to lower down.

Figure 13 shows average values of the DI of RBCs 1–3 at three different regions: before, within and after the microstenosis. These results show clearly that all RBCs increase their DI in the microstenosis region. Note that the absence of DI values of RBC 3 after the microstenosis was due to the loss of this particular RBC after passing through the stenosis. Currently, we are improving the pre-processing step of the proposed method in order to improve the segmentation of each RBC.

Conclusion and future work
This study applied an image analysis technique based on the keyhole model to the application for tracking RBCs
flowing through a microchannel with a microstenosis. Our results showed that the calculation of the direction of optical flow was the most suitable strategy to find the best position. Although the studied model has shown promising results, it is not a feasible model to conduct a study in real time, because the calculation of optical flow is slow. However, the model was proved to be a promising technique for cell tracking, because for the majority of the studied regions, their cell children were successfully found. In addition, the proposed method was proved to be an efficient technique to not only track the motion of RBCs but also measure the DI along a microchannel with a smooth contraction. This method by reducing the execution time and possible errors by the users provides a faster and accurate way to obtain automatically multiple RBC trajectories and DIs, especially when compared with the manual methods often used in microcirculation.

As a future work, taking advantage of the current model, we intend to create a new model that allows the cell tracking in real time, which provides faster and more accurate results. As the model has a potential to expand its functionality, we further intend to develop additional instantaneous measurement functions such as the distance of RBCs from the microchannel wall or neighbour cells.

The application of the proposed method to other more complex flows such as using microchannels with different geometries and higher Hcts are also worth studying in the near future. A large number of RBCs measurements are ideal and important in order to provide statistically trustable DI values. Because the deformability of cells is directly related to several diseases, such as diabetes and malaria, it will also be interesting to apply this method with pathological cells and verify the potential of this method to perform early diagnosis of diseases related to the deformability of cells.

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