On the Relation of the LHeC and the LHC

LHeC Study Group

Abstract

The present note relies on the recently published conceptual design report of the LHeC and extends the first contribution to the European strategy debate in emphasising the role of the LHeC to complement and complete the high luminosity LHC programme. The brief discussion therefore focuses on the importance of high precision PDF and $\alpha_s$ determinations for the physics beyond the Standard Model (GUTs, SUSY, Higgs). Emphasis is also given to the importance of high parton density phenomena in nuclei and their relevance to the heavy ion physics programme at the LHC.

Submitted to the European Strategy for Particle Physics, October 2012.

1For the current author list see the end of this note. Contacts: oliver.bruning@cern.ch and max.klein@cern.ch
1 Introduction

Deep inelastic lepton-hadron scattering is the cleanest and most precise probe of parton dynamics in protons and nuclei. The LHeC is the only current proposal for TeV-scale lepton-hadron scattering and the only medium-term potential complement to the LHC pp, AA and pA programme at the energy frontier. As such, it has a rich and diverse physics programme of its own, as documented extensively in the recent conceptual design report (CDR) [1] and summarised in an initial submission by the LHeC Study Group to the European Strategy of Particle Physics (ESPP) discussion prior to the Cracow Symposium [2]. The focus of this second submission to the ESPP is a further exploration of the relationship between the LHeC and the LHC. Specifically, by improving the understanding of the LHC initial state through tighter constraints on parton densities and providing information on many other aspects of strong interactions, the LHeC extends the capabilities of the LHC programme substantially.

The LHeC offers the prospect of synchronous operation of a new ep (and eA) facility with the high luminosity phase of the LHC (HL-LHC). The physics programme of the GPD experiments on this timescale, as illustrated in the ATLAS and CMS contributions to the ESPP process, is centred around two major objectives: i) the most precise and complete exploration possible of the newly discovered Higgs-like particle and ii) maximising the sensitivity of the continuing search for new particles and symmetries or extra dimensions in the few TeV range of mass. This document investigates the potential impact of precision LHeC results on these objectives, as we understand them at present, recognising that the situation will evolve with time and deserves continuous further study. It also recalls the importance of deep inelastic electron-ion scattering for the completion of the LHC heavy ion programme. The mutual relations between the LHeC and the LHC are of course much deeper than can be covered in a brief communication such as this.

As documented in detail in [1], the parton density (PDF) determinations offered by the LHeC are substantially superior to the possibilities using LHC data alone and, for the first time, provide a full flavour decomposition essentially free of assumptions. The LHeC also promises a broad and unique programme of further strong interaction physics, such as the exploration of a newly accessed high density, low coupling regime at low $x$ and a new level of precision and hugely extended kinematic coverage on the partonic structure of nuclei. Combined with competitive sensitivity to new physics in channels where initial state lepton quantum numbers are an advantage, the LHeC represents a cost effective means of fully exploiting the LHC and substantially extending its physics programme.

Following the discovery by ATLAS [3] and CMS [4] of a new boson with a mass of about 126 GeV, there are two main aims for the future of the field. Firstly, to determine whether this particle is the Standard Model Higgs boson or something more exotic and, secondly, to extend as far as possible the range of sensitivity for the discovery of other new particles. ATLAS and CMS have reported exclusion limits for a wide range of massive new particles in the $1 - 2$ TeV range. With no strong evidence for new effects so far, the need to further extend such searches to the largest masses possible is paramount. The increased beam energy following LS1 will provide a first major step in this direction. Beyond that, further progress is limited by luminosity, due to the fast-falling cross sections as higher and higher $x$ PDFs are involved (especially for gluon initiated processes), and by the uncertainties on those PDFs. To fully exploit the new particle discovery range of the LHC, both a luminosity upgrade and tighter external PDF constraints are therefore required.

The future exploration of the Higgs sector at the LHC, for example by measuring relative couplings and testing the CP structure, may similarly become limited by theory uncertainties derived from PDF measurements once the very high luminosities possible at HL-LHC have been accumulated [5]. This is particularly true for the workhorse channels in which the Higgs decays to $\gamma\gamma$ or four charged leptons. Whilst LHC inclusive $W$ and $Z$ production data will somewhat improve constraints on the quark densities of the proton at the electroweak scale, they will have a limited impact on the gluon density, which is more pertinent to Higgs physics, given the dominant $gg$ production mechanism.

The present document is organised as follows. Section 2 presents a brief reminder of the Linac-Ring configuration of the LHeC, which is being prepared via prototype and design developments with a view to endorsement of the project in the next few years. This includes a brief exploration of possible ways of enhancing the luminosity to the level of $10^{34}$ cm$^{-2}$s$^{-1}$. Section 3 is devoted to PDF determinations, including
the relation between $pp$ and $ep$, the LHeC’s potential to unfold all quark flavours and to unfold the gluon density to an unprecedented level of precision in a huge $x$ range. Section 4 provides a discussion of two key features of the LHeC which may be crucial in the establishment of new theories or particles: firstly the prospect of measuring $\alpha_s$ to per mille accuracy and secondly the precision calculation of SUSY cross sections involving high $x$ partons at the limits of the accessible HL-LHC mass range, gluino pair production being used as an example. Section 5 discusses the main contributions of the LHeC to Higgs physics; its potential to find new physics at the cleanly accessible $WWH$ (and $ZZH$) vertices and the corresponding precision coupling measurements to vector bosons, as well as its reduction of the QCD-dominated theory uncertainties on Higgs production in $pp$ collisions. Finally, in Section 6, the importance of $eA$ DIS measurements for the LHC heavy ion programme is briefly reviewed.

## 2 The LHeC Linac-Ring Collider

The LHeC aims at colliding the high-energy protons and heavy ions circulating in the LHC with 60-GeV polarised electrons and possibly also positrons. The LHeC is realised by adding to the LHC a separate 9-km racetrack-shaped recirculating superconducting (SC) energy-recovery linac (ERL). The key components of the LHeC are the two 1-km 10-GeV SC linacs of the ERL, comparable in scale to the 17.5-GeV SC linac of the European XFEL presently under construction. The LHeC ERL provides a design lepton beam current of 6.4 mA at the $ep$ collision point, which is taken to be at IP2 of the LHC. Aside from the IP2 interaction region, the LHeC underground infrastructure is fully decoupled from the existing LHC tunnel. Two of the access shafts could be located on the CERN Prevessin site.

The LHeC is designed to operate with simultaneous LHC $pp$ (or $AA$) collisions. LHeC operation is fully transparent to the other LHC experiments thanks to the low lepton bunch charge and resulting minuscule beam-beam tune shift experienced by the protons, together with the choice of the LHeC circumference to be equal to a third of the LHC’s in order to allow for ion-clearing gaps in the ERL without perturbing LHC steady-state operation.

| parameter [unit] | LHeC |
|------------------|------|
| species          | $e$  | $p$, $^{208}$Pb$^{82+}$ |
| beam energy (/nucleon) [GeV] | 60   | 7000, 2760 |
| bunch spacing [ns] | 25, 100 | 25, 100 |
| bunch intensity (nucleon) [10$^{10}$] | 0.1 (0.2), 0.4 | 17 (22), 2.5 |
| beam current [mA] | 6.4 (12.8) | 860 (1110), 6 |
| rms bunch length [mm] | 0.6 | 75.5 |
| normalised rms emittance [µm] | 90 ($e^+$ none) none, none |
| geometric rms emittance [µm] | 50 | 3.75 (2.0), 1.5 |
| IP beta function $\beta^*_x,y$ [m] | 0.43 | 0.50 (0.31) |
| IP spot size [µm] | 7.2 (3.7) | 7.2 (3.7) |
| synchrotron tune $Q_s$ | $-$ | 1.9 × 10$^{-3}$ |
| hadron beam-beam parameter | 0.0001 (0.0002) |
| lepton disruption parameter $D$ | 6 (30) |
| crossing angle | 0 (detector-integrated dipole) |
| hourglass reduction factor $H_{hg}$ | 0.91 (0.67) |
| pinch enhancement factor $H_D$ | 1.35 (0.3 for $e^+$) |
| CM energy [TeV] | 1.3, 0.81 |
| luminosity / nucleon [10$^{33}$ cm$^{-2}$ s$^{-1}$] | 1 (10), 0.2 |

Table 1: LHeC parameters. The numbers give the default values with optimum values for maximum $ep$ luminosity in parenthesis and values for the $ePb$ configuration separated by a comma.
LHeC has been designed under the constraint that the total electrical power for the LHeC lepton branch should not exceed 100 MW (about half the present maximum CERN site power). The LHeC electrical power budget is dominated by the RF and by the cryo power for the two 1-km long SC linacs. The cryo power required and, therefore, also the size of the cryoplants (as well as the maximum lepton current) are directly linked to the unloaded quality factor of the cavities, $Q_0$. With a $Q_0$ of $2.5 \times 10^{10}$, the total main-linac cryopower amounts to 23 MW. The RF power needed for RF microphonics control is about 24 MW, and the extra-RF power needed for compensating SR losses at 6.4-mA current also to 23 MW. The remaining components, like injectors or arc magnets, require a few MW each.

Together with rather conservative assumptions for most parameters, the 100 MW power limit yields the LHeC $ep$ target luminosity of $10^{33}$ cm$^{-2}$s$^{-1}$. However, extensions to significantly higher luminosity, e.g., $10^{34}$ cm$^{-2}$s$^{-1}$, are possible by a combination of improvements, namely (1) by considering normalised proton beam emittances of 2 $\mu$m (as achieved in 2011/12 LHC operation) instead of 3.75 $\mu$m; (2) by a further reduction of the proton IP beta function from 0.1 m down to 0.05 m, which should be possible by using a $10 \mu$m beam emittances of 2 $\mu$m (as achieved in 2011/12 LHC operation) instead of 3.75 $\mu$m; (3) by increasing the proton bunch intensity from $1.7 \times 10^{11}$ to the HL-LHC 25 ns target value of $2.2 \times 10^{11}$ [for the 50-ns HL-LHC scenario it would be even $3.3 \times 10^{11}$ with a possible further factor 2.5 increase of luminosity, to more than $2 \times 10^{34}$ cm$^{-2}$s$^{-1}$]; and (4) by doubling the lepton beam current, which should be possible without exceeding the 100-MW power limit if the unloaded $Q_0$ value of the SC RF cavities can be raised to $4 \times 10^{10}$ (as it is assumed for the similar eRHIC design). Table 1 shows LHeC parameters, including, in parentheses, values for a higher-luminosity variant.

The LHeC represents an interesting possibility for further efficient exploitation of the LHC infrastructure investment. The development of a CW SC recirculating energy-recovery linac for LHeC would prepare for many possible future projects, e.g., for an International Linear Collider, for a neutrino factory, for a proton-driven plasma wake field accelerator, or for a muon collider. With some additional arcs, using 4 instead of 3 passes through the linacs, a machine like the LHeC ERL (without energy recovery) could also operate as a Higgs factory $\gamma\gamma$ collider (SAPPHiRE).

## 3 Parton Distributions

### 3.1 PDFs in pp and ep

The factorisation theorems of perturbative QCD (see Ref. [6] and references therein) express physical observables for hard processes characterised by a large momentum scale as the convolution of a perturbatively computable partonic cross-section, determined in terms of the degrees of freedom of the QCD Lagrangian — quarks and gluons — and universal, process–independent parton distributions, up to corrections suppressed by powers of the ratio of a characteristic QCD scale $\Lambda \sim 100$ MeV to the large scale.

Factorisation is most rigorously established for deep inelastic lepton-hadron scattering, where the expression for the cross-section has schematically the form

$$
\sigma_{DIS}(x, Q^2) = \int_x^1 \frac{dz}{z} \hat{\sigma}_{DIS}(z, \alpha_s(Q^2)) f(Q^2, \frac{x}{z}),
$$

where $\sigma_{DIS}(x, Q^2)$ denotes generically a deep inelastic structure function, $Q^2$ is the hard scale of the process, namely, the virtuality of the gauge boson which mediates the scattering process, and the scaling variable is $x = Q^2 / 2p \cdot q$ in terms of the incoming hadron momentum $p$ and momentum transfer $q = k' - k$ between the incoming ($k$) and outgoing ($k'$) lepton momenta. In Eq. (1), the partonic cross section $\hat{\sigma}_{DIS}(z, \alpha_s(Q^2))$ can be computed as a perturbative expansion in $\alpha_s(Q^2)$, while $f(Q^2, x)$ is a parton distribution; a sum over different kinds of partons (individual quark flavours and gluons) is understood but omitted for simplicity. Equation (1) directly follows from the Operator-Product Expansion, though it can also be derived from the computation of parton Feynman diagrams.

Factorisation for hadronic cross-sections, such as for example the production of an electroweak final state
such as a Higgs or a $W$ or $Z$ takes the form

$$\sigma_{\text{DY}}(\tau, M^2) = \int_{\tau}^{1} \frac{dz}{z} \int_{X}^{1} \frac{dx}{x} \frac{f_{a/h_1}(x)}{f_{b/h_2}(\tau/x)} \mathcal{L} \left( \frac{\tau}{z} \right),$$

(2)

where now $\sigma_{\text{DY}}(\tau, M^2)$ and $\hat{\sigma}_{\text{DY}}(z, \alpha_s(M^2))$ are respectively hadronic and partonic cross sections for production of the electroweak final state of mass $M$: with the hadronic $\sigma$ measurable, and the partonic $\hat{\sigma}$ computable in perturbation theory, and the scaling variable is $\tau = \frac{M^2}{s}$. The dependence on parton distributions now goes through the parton luminosity

$$\mathcal{L}(\tau) = \sum_{a,b} \int_{\tau}^{1} \frac{dx}{x} f_{a/h_1}(x)f_{b/h_2}(\tau/x),$$

(3)

which depends on the parton distribution from parton $a$ and $b$, respectively, extracted from the two incoming hadrons $h_1$ and $h_2$. Again, we have neglected a sum over partonic channels for simplicity.

Because taking a Mellin transform turns the convolutions in Eqs.(1-2) into ordinary products, the universality of PDFs implies that one can form a PDF-independent measurable ratio:

$$\frac{\sigma_{\text{DY}}(N, M^2)}{\sigma_{2\text{DIS}}^2(N, M^2)} = \frac{\hat{\sigma}_{\text{DY}}(N, M^2)}{\hat{\sigma}_{2\text{DIS}}^2(N, M^2)},$$

(4)

where $\sigma_{\text{DY}}(N, M^2) = \int_{\tau}^{1} d\tau \tau^{-1} \sigma(\tau, M^2)$, and analogously for the other cross sections. It is the possibility of constructing such a ratio, which only depends on perturbatively computable partonic cross sections, which guarantees predictivity of Drell-Yan processes for example.

Factorisation for hadronic processes in which a colourless electroweak final state is produced, such as Higgs, or a real or virtual $W$, $Z$ or $\gamma$ is firmly established on the basis of an all-order analysis of the relevant Feynman diagrams. Furthermore, such processes are currently available up to NNLO in perturbation theory at the differential level and partly at N$^3$LO for total cross sections: no counterexample to factorisation has been found up to this order. Factorisation is also well-established for sufficiently inclusive coloured final states, such as the one-jet and dijet cross section. In this case no fully rigorous all-order argument is really available, but no counterexample to factorisation has ever been found either.

Recent global determinations of parton distributions, such as CTEQ [7], MSTW [8] or NNPDF [9] combine both deep inelastic scattering data with a variety of beams (electrons, muons, neutrinos) and targets (protons, deuterons and heavier nuclei) as well as hadron-hadron data such as virtual photon (Drell-Yan) production, $W$ and $Z$ production, and single jet production. A typical such analysis includes over 2000 deep inelastic data points, and over 1000 hadronic data points. It thereby provides both a test of the factorisation framework which guarantees the mutual consistency of these data, and a possibility of assessing their relative impact.

As an example of both, Figure 1 compares the gluon distribution extracted by only fitting deep inelastic scattering data, and by also adding jet data to the DIS dataset. Such a comparison provides an interesting test of factorisation for at least three reasons. First, because one is comparing a lepton-hadron and a hadron-hadron process. Second, because the gluon is determined through rather different physical mechanisms: in deep inelastic scattering, where it does not couple to the leading-order perturbative process because it carries no electric or weak charge, the gluon is determined by the $Q^2$ evolution. In jet production, instead, it directly contributes both to the initial and final state. Finally, because the jet data are taken at scales which are typically one or two orders of magnitude larger than that of the deep inelastic data, and thus the parton distribution extracted from one process has to be evolved through renormalisation group equations in order to be used in the other process. Nevertheless, it is apparent from Fig. 1 that the gluon determined by deep inelastic scattering and jets is consistent: when adding jet to deep inelastic data, the central value moves very little, while the uncertainty is somewhat reduced. It is also apparent from the figure that the bulk of the information on the gluon distribution is coming from deep inelastic scattering, with the jet data only providing some useful but no determinant extra information.

Both these situations are generic, and likely to persist in the future. On the one hand, perturbative factorisation is now firmly established for a variety of processes, and electron-proton data can thus reliably
Figure 1: The gluon distribution determined using deep inelastic scattering data only (blue) or also including jet data (red), plotted on a logarithmic (left) and linear (right) scale vs $x$ at $Q^2 = 2$ GeV$^2$ (from [10]).

provide input for hadron collider processes. In fact, because factorisation is most reliably established in deep inelastic scattering, it is the availability of precise parton distributions from lepton-hadron scattering which may allow detailed tests of the validity of factorisation for processes for which it is less well established. On the other hand, because lepton-hadron data are generally subject to smaller power-suppressed corrections, perturbatively more stable, easier to compute than most hadronic processes so results to the highest perturbative orders are available, and finally free of many complications which arise when dealing with hadronic initial and final states (such as jet definitions, or underlying event), lepton-proton data always provide a comparatively more competitive and theoretically reliable determination of parton distributions than hadron-hadron data. The natural scenario is one in which lepton-proton data are used to determine parton distributions, and the latter are then used for hadron collider processes, and there are strong reasons of principle why this is the case.

3.2 NC and CC Cross Section Measurements

The determinations of parton distributions at the LHeC are of unique range and quality because of a number of salient features which characterise this experiment, especially with respect to HERA: i) The LHeC greatly extends the kinematic range compared to HERA. The increase in negative momentum transfer squared $Q^2$ is from a maximum of about 0.03 at HERA to 1 TeV$^2$ at the LHeC, and in $x$, e.g. for $Q^2 = 3$ GeV$^2$, from about $4 \cdot 10^{-5}$ to $2 \cdot 10^{-6}$. ii) The projected increase of integrated luminosity by a factor of 100 allows to also extend the kinematic range at large $x$, from practically about 0.4 to 0.8 in charged currents (CC). This enables a precision mapping of the high $x$ region, corresponding to large masses, of a few TeV, in Drell-Yan scattering at the LHC. iii) The increase in $Q^2$ implies that all parts of the neutral current cross section, due to pure photon and pure $Z$ exchange, and their interference become of equal strength. This, combined with high precision and CC data in a large kinematic range, enables a complete separation of sea and valence quarks. It is crucial to understand that such a basis of PDF determinations will render all previous PDF determinations of inferior importance and practically reduce any parameterisation uncertainty in QCD PDF fits to a negligible level of importance.

The superior nature of the DIS process for testing partons, with respect to Drell-Yan scattering, the higher precision in $ep$ wrt $pp$ and the availability of an enormous range in $Q^2$ for fixing parton evolution, as opposed to the $Q^2 \approx M^2_{W,Z}$ scale of the most accurate DY process at the LHC, these and further features make the LHeC the appropriate machine for transforming the LHC into a precision QCD, search and Higgs factory in the twenties.

The analysis of PDF measurements of the LHeC has been based on a full simulation of the NC and CC
inclusive cross section measurements. The assumptions on sources of systematic uncertainty are listed in Table 2 [1]. Broadly speaking, it is assumed that with a new detector and high luminosity the H1 level of systematic uncertainty is reached and improved by up to a factor of two. The measurements of PDFs at the

| source of uncertainty            | error on the source or cross section |
|----------------------------------|--------------------------------------|
| scattered electron energy scale  | 0.1 %                                |
| scattered electron polar angle   | 0.1 mrad                              |
| hadronic energy scale            | 0.5 %                                |
| calorimeter noise (only $y < 0.01$) | 1-3 %                              |
| radiative corrections            | 0.5%                                 |
| photoproduction background (only $y > 0.5$) | 1%                                 |
| global efficiency error          | 0.7%                                 |

Table 2: Assumptions used in the simulation of the NC cross sections on the size of uncertainties from various sources. These assumptions correspond to typical best values achieved in the H1 experiment. The total cross section error due to these uncertainties, e.g. for $Q^2 = 100\text{ GeV}^2$, is about 1.2, 0.7 and 2.0% for $y = 0.84, 0.1, 0.004$.

LHeC are complemented by high precision measurements of the heavy flavour quark densities owing to a small beam spot, high luminosity and modern Silicon tracking techniques of high precision and wide acceptance. An important part of the PDF programme at the LHeC is due to the projected run with deuterons, which extends the knowledge of neutron structure from DIS by 4 orders of magnitude in kinematic range. It needs deuterons to measure a singlet combination of parton densities and to unfold the light sea flavour composition at low $x$. The LHeC is also an ideal and necessary configuration to determine the nuclear PDFs for the first time in most of the kinematic range as is emphasised below.

3.3 Valence and Sea Quarks

The LHeC is in a unique position to unravel all quark densities in the proton with a complete quark flavour separation for the first time and with unprecedented precision. The huge phase space covered matches the needs of the LHC and includes the extreme values of Bjorken $x$, lowest, $x \approx 10^{-5}$, where saturation may set in and largest, near to 1, which determine the multi-TeV BSM cross sections at the LHC. The detailed shape measurements of the various parton distributions, for example of the strange density versus $Q^2$ and $x$, imply that the currently large uncertainties due to PDF parameterisations in pQCD fits will be drastically reduced. The complete basis for PDFs that the LHeC promises to deliver is likely to lead to significant deviations in many places from the canonical PDF pattern we know today. This is a necessary input for future LHC measurements, such as precision Higgs coupling and cross section determinations. There could also be discoveries made in deviations from the conventional PDF pattern, such as the possible observation of anti-quarks to be different from their sea quarks or an intrinsic heavy flavour component. Since the momentum is conserved, and shared between quarks and gluons, any deviation affects the overall pattern, which reflects on other parts of physics.

The basis for LHC physics and BSM discoveries is QCD at high orders and the accurate knowledge of the classic PDFs. In the following, based on [1], some brief remarks are made on the unique potential of the LHeC in the determination of the complete set of quark densities, while the mapping of the gluon density is described subsequently below.

- **Valence quarks**: The knowledge of the valence quark distributions, both at large and at low Bjorken $x$, as derived in the current world data QCD fit analyses is amazingly limited. An impressive improvement

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2A recent example is the ATLAS observation of the light sea to be flavour symmetric. Combined with the precision HERA $F_2$ data this changes the singlet sea by 8 %, which has consequences for the ultra high energy neutrino-nucleon scattering cross sections.
is expected from the LHeC. A NLO QCD fit to simulated inclusive neutral and charged current LHeC data (see [1]) shows that the uncertainty of the down valence quark distribution at, for example, $x = 0.7$ can be reduced from a level of 50−100% to about 5%. This will be crucial for searches of new physics at the LHC at the high energy frontier, in order to verify any excess (or deficiency) compared to the SM prediction. Direct access to valence quarks down to low $x \sim 0.001$ can be obtained at LHeC from the NC, $Z$ exchange related $e^+p$ cross section difference, which can resolve possible sea-antiquark differences.

- **Light sea quarks**: The measurement of the structure functions $F_2 \propto 4U + D$, in $eD$ is the basis for determining the light sea quark densities in the nucleon. LHeC will extend greatly the HERA kinematic coverage to much lower $x$ and to higher scales $Q^2$. From NC and CC measurements comparing $ep$ with $eD$ data, the up and down sea quark densities will be unfolded, which nowadays are assumed to be equal at $x < 0.01$.

- **Strange**: Several long-standing questions are related to the strange quark density in the proton: how much is it suppressed with respect to the other two light quarks? Is there an asymmetry between the strange and anti-strange density? The knowledge of the strange-quark density itself is important for many processes, for instance for the precision measurement of the $W$ boson mass. Information on the strange quark density is available from several experiments, in particular from previous Neutrino DIS experiments\(^3\), but overall there is no real understanding of the strange quark distribution. The strange quark distribution is accessible at LHeC in charged current scattering through the subprocesses $W^+s \rightarrow c$ (for positron beams) and $W^-\bar{s} \rightarrow \bar{c}$ (for electron beams), using charm tagging in the final state. The LHeC simulation studies show that for the first time precise measurements of the $s$ and $\bar{s}$ densities can be performed over a large kinematical phase space in $x$ and $Q^2$.

- **Charm**: Information on the charm content in the proton can be accessed at LHeC by measuring the inclusive charm production cross section in neutral current DIS. At low scales $Q^2 \sim m_c^2$ (with $m_c$ being the charm quark mass) charm production has to be treated as being fully massive, i.e. the charm quarks can only be dynamically produced in the reaction $\gamma g \rightarrow c\bar{c}$ and thus are themselves not active flavours in the proton. However, at large scales $Q^2 \gg m_c^2$ one can treat the charm quarks as massless partons, which contribute to the sea. The charm quark mass $m_c$ is a crucial parameter: it regulates the ratio of charm and light quarks in the sea and thus affects predictions for almost any quark driven process at the LHC. At LHeC one expects much more precise and kinematically extended measurements of inclusive charm production compared to HERA. This will allow to map for the first time the transition from the massive to the massless regime. Simulations show that one can use the data for a $m_c$ determination at a precision of two per mille. With very good forward charm tagging one can also test the hypothesis of an intrinsic charm component in the proton wave function, which could appear at high $x \sim 0.2$.

- **Beauty**: Simulation studies show that one expects at LHeC precise measurements of inclusive beauty production in DIS. For large squared momentum transfer $Q^2 \gg m_b^2$ (with $m_b$ being the beauty quark mass) these measurements can be directly translated into an effective beauty quark density in the proton. There is a huge interest in these densities, since many new physics scenarios involve beauty quarks. For instance, in the minimal supersymmetric extension of the standard model the production of the neutral Higgs boson $A$ is driven by $b\bar{b} \rightarrow A$. While at HERA the inclusive beauty production results were statistically limited to about 20% precision, very accurate results can be expected at the LHeC.

- **Top**: The production of top quarks can be studied at the LHeC for the first time in DIS experiments. The dominant process is single top (or anti-top) production in $Wb$ to $t$ fusion. The unique top physics program that can be performed at the LHeC includes possibly the consideration of a quark density for

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\(^3\)The interpretation of these neutrino data is sensitive to uncertainties from charm quark fragmentation and nuclear corrections.
the top, from NC, a high precision measurement of the top mass from its decay and cross section. Top physics at the LHeC is a promising subject for further study.

In summary, while the LHC data can add information to certain aspects of the quark densities in the proton using specific reactions (e.g. Drell Yan), it remains the unique preserve of the LHeC to completely resolve the quark and antiquark structure of the proton, for all quark flavours, over the largest kinematic range ever explored and last but not least with the best theoretical understanding.

### 3.4 Gluon Distribution

As has been summarised in the CDR, there are many fundamental reasons for the necessity to understand the gluon distribution and the gluon-parton interactions deeper than hitherto. Half of the proton’s momentum is carried by gluons. The gluon self-interaction is responsible for the creation of baryonic mass. In $pp$ scattering at the LHC, the Higgs particle is predominantly produced by gluon-gluon interactions. Gluino pair production, as discussed in Section 4.2, predominantly proceeds via $gg \to q \to \tilde{g}\tilde{g}$ production and is subject to huge uncertainties at high masses. On the other hand the rise of the gluon density towards low Bjorken $x \lesssim 10^{-5}$ is expected to be tamed and a new phase of hadronic matter to be discovered, in which gluons interact non-linearly while $\alpha_s$ is smaller than 1.

![Figure 2: Relative uncertainty of the gluon distribution at $Q^2 = 1.9 \text{GeV}^2$, as resulting from an NLO QCD fit to HERA (I) alone (green, outer), HERA and BCDMS (crossed), HERA and LHC (light blue, crossed) and the LHeC added (blue, dark). Left: logarithmic $x$ scale, right: linear $x$ scale.](image)

From the simulations as described one derives a typical uncertainty for the gluon density to be reduced to about 3, 1, 5% at $x = 5 \cdot 10^{-6}$, 0.005, 0.5, respectively. These values of Bjorken $x$ mark the low value for saturation to be discovered, the central rapidity value for Higgs production and the approximate high mass limit for gluino pair production. As can clearly be seen in Figure 2, the potential of the LHeC for the determination of the gluon density over 5–6 orders of magnitude in $x$, simultaneously with all quark PDFs and $\alpha_s$, is striking. It has to be compared with the current status of huge uncertainty on $xg$ at low and high $x$ as is illustrated in Figure 3.

### 4 PDFs for BSM Searches

#### 4.1 Strong Coupling and Grand Unification

Deep inelastic scattering is an ideal process for the determination of the strong coupling constant, which determines the scaling violations of the parton distributions. Despite a major effort for more than 30 years,
there is no precise determination of $\alpha_s$ available, with a precision competing with QED or weak couplings, and a number of severe questions remain to be solved as is discussed in [1] and as has recently been summarised in [11]. Questions regard the (in)consistency of previous DIS data, the (in)consistency of inclusive DIS and jet based data, the true uncertainty of the world average on $\alpha_s$ including the role of various lattice QCD determinations, etc. It is for these reasons and because of the importance of $\alpha_s$ for the grand unification of gauge theories, and its importance in a plethora of predictions of cross sections, such as for Higgs production at the LHC, that an experimental determination of the strong coupling with an order of magnitude improved precision is crucial. It is also time to challenge the lattice QCD $\alpha_s$ results, which seem to be most precise but which exhibit variations which are non-negligible [11].

Two independent simulations and fit approaches have been undertaken in order to verify the potential of the LHeC to determine $\alpha_s$, see the CDR [1] for details. Table 3 summarises the main results. It can be seen that the total experimental uncertainty on $\alpha_s$ is 0.2% from the LHeC and 0.1% when combined with HERA. This determination is free of higher twist, hadronic and nuclear corrections relying solely on inclusive DIS $ep$ data at high $Q^2$. There are known further parametric uncertainties in DIS determinations of $\alpha_s$. These can also safely be expected to be much reduced by the LHeC, which promises to determine the charm mass, for example, to a precision of 3 MeV, as compared to 30 MeV at HERA, corresponding to an $\alpha_s$ uncertainty of 0.04%. Matching the experimental uncertainty requires that, when the LHeC operates, such analyses must be performed in $N^3$LO pQCD in order to reduce the scale uncertainty. The ambition to measure $\alpha_s$ to per mille precision therefore represents a vision for a renaissance of the physics of deep inelastic scattering which is a major goal of the whole LHeC enterprise. Due to the huge range in $Q^2$ and

| case          | cut $[Q^2 (\text{GeV}^2)]$ | uncertainty | relative precision (%) |
|---------------|-----------------------------|-------------|------------------------|
| HERA only     | $Q^2 > 3.5$                 | 0.00224     | 1.94                   |
| HERA+jets     | $Q^2 > 3.5$                 | 0.00099     | 0.82                   |
| LHeC only     | $Q^2 > 3.5$                 | 0.00020     | 0.17                   |
| LHeC+HERA     | $Q^2 > 3.5$                 | 0.00013     | 0.11                   |
| LHeC+HERA     | $Q^2 > 7.0$                 | 0.00024     | 0.20                   |
| LHeC+HERA     | $Q^2 > 10.$                 | 0.00030     | 0.26                   |

Table 3: Results of NLO QCD fits to HERA data (top, without and with jets) to the simulated LHeC data alone and to their combination, for details of the fit see [1]. The resulting uncertainty includes all the statistical and experimental systematic error sources taking their correlations into account.

Figure 3: Ratios to MSTW08 of gluon distribution and uncertainty bands, at $Q^2 = 1.9 \text{ GeV}^2$, for most of the available recent PDF determinations, taken from [1]. Left: logarithmic $x$ scale, right: linear $x$ scale.
the high precision of the data, new and decisive tests will also become available for answering the question of whether the strong coupling determined with jets and in inclusive DIS are the same. If confirmed, as is demonstrated in Table 3 with the HERA data, a joint inclusive and jet analysis has the potential to even further reduce the uncertainty of $\alpha_s$ as simulated here.

Numerous tests of the running of $\alpha_s$ have been performed. At even higher scales, the law which governs this behaviour would be affected, possible strongly as is illustrated in Figure 4 (left), if extra dimensions showed up in the kinematic range accessible to the LHeC. Besides effects on $\alpha_s$ one would expect to see changes of the NC cross section, as in contact interaction patterns, for which the LHeC provides a range up to about 50 TeV, which is discussed in the CDR.

It is well known that grand unified theories (GUTs), having only a single gauge group, thus possess a single gauge coupling of that group. The Standard Model (SM) gauge couplings are derived, after spontaneous breaking of the GUT, from the renormalisation group evolution of the gauge couplings, from the Grand Unified scale to the weak scale where they are measured. Thus there is a testable GUT prediction: the couplings, which are measured at about the weak scale, should all unify to a common value at a single, very high energy scale. Assuming the SM as the relevant effective field theory, they do not unify. However, assuming a supersymmetric desert above the weak scale and using the minimal supersymmetric standard model (MSSM), the strong and electroweak couplings do approximately unify at a common scale of $M_{\text{GUT}} \approx 2 \cdot 10^{16}$ GeV. In the specific calculation used here, the couplings do not quite match, see Figure 4 (right). In realistic GUTs such deviations may occur and are caused by threshold effects, for example by the prediction of heavy GUT relic particles that lie just below $M_{\text{GUT}}$. An accurate inference of this deviation therefore gives important clues into the structure of such heavy states and therefore, ultimately, the GUT itself. It is visible that the present level of uncertainty of the strong coupling is much larger than that of the weak coupling and the fine structure constant, while with the LHeC a huge improvement is expected.

Figure 4: Left: Running of the strong coupling constant up to high scales $\sqrt{Q^2} = \mu$ in the absence (SM) and presence of $n$ extra dimensions [12]; Right: Extrapolation of the coupling constants $(1/\alpha)$ within the MSSM (for the parameter point CMSSM40.2.5 [13]) to the Grand Unified scale as predicted by SOFTSUSY [14]. The width of the red line is the uncertainty of the world average of $\alpha_s$, which is dominated by the lattice QCD calculation chosen for the PDG average. The black band is the LHeC projected experimental uncertainty [1].
4.2 Supersymmetry

Supersymmetry (SUSY) is a compelling theory providing an extension of the Standard Model (SM) at high energies. In the SM, the Higgs boson mass suffers from large quantum loop corrections, as large as the cut-off scale of the theory, and therefore needs a high degree of fine-tuning of parameters to be cancelled. With SUSY, this ‘naturalness problem’ is solved by the addition of supersymmetric partner particles to the known fermions and bosons which cancels the largest of these loop effects and permits the Higgs boson mass to lie naturally at the $\sim 100$ GeV scale. Supersymmetric theories present other advantages, including the unification of running coupling constants at the Planck scale, see Sect. 4.1, and renormalisation group equations that radiatively generate the scalar potential that leads to electroweak symmetry breaking. Yet, at the LHC there is so far no sign for SUSY particles. It is therefore crucial to increase the beam energy and luminosity to extend these searches to the limit of phase space.

The possible conservation of $R$-parity, a discrete quantum number which relates spin (S), baryon and lepton numbers (B and L), is fundamental in determining the phenomenology of SUSY. In the framework of generic $R$-parity conserving supersymmetric extensions of the SM, SUSY particles are produced in pairs and the lightest supersymmetric particle (LSP) is stable. In a large variety of models the LSP is the lightest neutralino, $\tilde{\chi}^0_1$, one of the SUSY partners of the gauge bosons together with its three heavier mass eigenstates ($\tilde{\chi}^0_{2,3,4}$) and the charginos ($\tilde{\chi}^{\pm}_{1,2}$). The lightest neutralino only interacts weakly and provides a Dark Matter candidate with the appropriate relic density to explain the cosmological Dark Matter. The possible appearance of $R$-parity-violating couplings, and hence the non-conservation of baryon and lepton numbers (B and L) in supersymmetric theories, imply an even richer phenomenology. Although $R$-parity-violating interactions must be sufficiently small, their most dramatic implication is the automatic generation of neutrino masses and mixings. The possibility that the results of atmospheric and solar neutrino experiments may be explained by neutrino masses and mixings originating from $R$-parity-violating interactions has motivated a large number of studies and models.

The discovery (or exclusion) of supersymmetric particles remains a high priority for the LHC experiments, the LHC being the primary machine to search for physics beyond the SM at the TeV scale. The role of the LHeC is to complement and possibly resolve the observation of new phenomena. At $ep$ colliders, SUSY particles could be produced due to sizeable lepton flavour violating terms or, in the framework of $R$-parity conserving models, via associated production of selectrons and first and second generation squarks. The latter process would present a sizeable cross section only if the sum of selectron and squark masses is below or around 1 TeV (thus, for relatively light squarks). Current exclusion limits set by the ATLAS and CMS experiments on first and second generation squarks are up to 1.5 TeV under the assumption that the first two squark families are degenerate. In models where this condition is relaxed, windows of discovery relevant for the LHeC might still be open at the time of start-up.

Less stringent constraints exist in the context of $R$-parity violating scenarios. Processes of interest for $ep$ colliders include leptoquark-like processes and associated production of quark-neutralinos via squark-quark-neutralino couplings, where squarks can be off-shell and thus beyond direct LHC exclusion limits. While stringent constraints exist for associated production of leptons and quarks possibly deriving from squark decay, processes of the kind $eu \rightarrow d\tilde{\chi}^0_1$ and subsequent decays of $\tilde{\chi}^0_1$ to leptons and quarks might be difficult to study at the LHC, due to the overwhelming SM multi-jet background, and can be successfully searched for at the LHeC. The LHeC will also provide indirect handles for the case of supersymmetry.

The dominant SUSY production channels at the LHC are assumed to be squark-(anti)squark, squark-gluino, and gluino-gluino pair production. All gluon-initiated processes suffer from very large uncertainties due to the extremely limited knowledge of the gluon density at high $x$. If gluinos of $2 - 4$ TeV mass exist, their discovery and kinematic characterisation will depend on the capability to predict their production cross section with good precision.

Fig. 5 shows the size of PDF uncertainties, current and expected, on the gluino-pair production cross section calculated at NLO SUSY-QCD expressed as the ratio to the MSTW08 predictions. The cross section calculation is based on [15] and assumes that first and second generation squarks are mass degenerate and equivalent to the gluino mass. The renormalisation and factorisation scale is set to the squark/gluino mass. Several of the current PDF fits are considered and suffer from very large uncertainties. They also
Figure 5: Calculation of gluino pair production in NLO SUSY-QCD using Prospino [16] and assuming squark mass degeneracy and equality of squark and gluino masses for illustration. The error bands are around central values (solid lines) and correspond to the uncertainty quotations of the various PDF groups. The red band of uncertainty for the LHeC corresponds to the statistical and systematic errors including their correlations as treated in the NLO QCD fit described in the CDR.

...differ considerably, by factors, in their central predictions, which has to do with the smallness of the gluon distribution at large Bjorken $x$ and the uncertainty of jet physics constraints at the Tevatron and the LHC, related to scale and calibration uncertainties and to the size of theory corrections at high mass Drell-Yan scattering. On the other hand, predictions employing the LHeC-derived PDF fits exhibit much smaller uncertainties, between 5% and 20% for gluino masses between 500 GeV and 5 TeV, thanks to the expected precision LHeC measurements of the NC and CC cross sections, and the derived quark and gluon densities, see above and [1].

Such a greatly reduced level of uncertainty is comparable to or below the experimental uncertainties expected for squark/gluino searches at the high-luminosity LHC, e.g. through enhanced multi-jet production rates (with or without missing transverse momentum) compared with SM predictions. It is difficult to predict the fate of high mass searches for SUSY. However, it is a prime goal of the GPD LHC experiments in the HL-LHC phase to explore the phase space up to or close to the kinematic limit. Fig. 5 makes it clear that the exploration of the region of above a few TeV gluino mass requires a much improved knowledge of PDFs, especially for the gluon for which the LHeC is the most reliable and most precise source, as has been argued above. Should deviations from SM predictions be observed, accurate predictions for inclusive squark and gluino production cross sections will be crucial to understand the nature of the new physics discovered and to determine SUSY particle masses and properties [17]. In this regard the LHeC, an ultra-precision QCD instrument, is a necessary complement for the HL-LHC physics programme, both for high mass searches as exemplified here and for making the LHC a precision Higgs factory as will be illustrated below.

The interest in $R$-parity violating SUSY translates directly into the striking potential of the LHeC to determine the lepto-quark or lepto-gluon quantum numbers should such states be discovered at the LHC. The $ep$ machine has a clean $s$-channel single production mode, with variable input beam parameters while the LHC produces them predominantly in pairs. This is discussed in detail in [1], along with the reach in contact interactions, excited leptons, anomalous lepton-quark interactions and other BSM topics.
5 Higgs Measurements

In the Standard Model, the breaking of the electroweak \( SU(2)_L \times U(1)_Y \) symmetry gives mass to the electroweak gauge bosons via the Brout-Englert-Higgs mechanism, while the fermions obtain their mass via Yukawa couplings with a scalar Higgs field. With the observation of a Higgs-like boson by the ATLAS \[3\] and CMS \[4\] collaborations with a mass around 126 GeV, a new research field has opened in particle physics. The measurement of the couplings of the newly found boson to the known fundamental particles will be a crucial test of the SM and a window of opportunity to establish physics beyond the SM.

At the LHeC, a light Higgs boson could be uniquely produced and cleanly reconstructed either via \( HZZ \) coupling in neutral current DIS or via \( HWW \) coupling in charged current DIS. Those vector boson fusion processes have sizeable cross sections, \( O(100) \) fb for 126 GeV mass, and they can be easily distinguished, which is a unique advantage in comparison to the VBF Higgs production in \( pp \) scattering. The observability of the Higgs boson signal at the LHeC was investigated in the CDR \[1\] using initially the dominant production and decay mode, i.e. the CC reaction \( e^- p \to H \to b \bar{b} + \nu + X \), for the nominal 7 TeV LHC proton beam and electron beam energies of 60 and 150 GeV. Simple and robust cuts are identified and found to reject effectively e.g. the dominant single-top background, providing an excellent S/B ratio of about 1 at the LHeC, which may be further refined using sophisticated neural network techniques. At the default electron beam energy of 60 GeV, for 80\% \( e^- \) polarisation and an integrated luminosity of 100 fb\(^{-1}\), the \( Hbb \) coupling is estimated to be measurable with a statistical precision of about 4\%, which is not far from the current theoretical uncertainty. Typical coupling measurements, such as \( \gamma \gamma \) or 4\( l \), can be measured with about 10\% precision with the HL-LHC, while the specific \( b \bar{b} \) coupling will be particularly difficult to measure due to high combinatorial backgrounds in \( pp \).

The LHC is said to be inferior to a linear collider in its coupling measurement prospects. Part of this statement comes from large uncertainties, which are related to the imperfect knowledge of the PDFs and theory parameters. The LHeC, with its high precision PDF and QCD programme, will render many of these uncertainties unimportant. Currently, for example, an uncertainty of the \( H \to \gamma \gamma \) cross section due to PDFs is quoted of nearly 10\% \[18\], based on the variation of the cross section predictions from different PDFs. This will be very much reduced with the LHeC: an iHix calculation of the NLO Higgs cross section for MSTW08, NNPDF2.3 and HERAPDF1.5 leads to intrinsic uncertainties of 1.7, 1.2 and 2.2\%, respectively, with a maximum deviation of 6.9\%. The full experimental LHeC uncertainty, however, is 0.2\%. The main advantage will be that the precision LHeC data, possibly combined with HERA, will replace essentially all previous data sets and thus lead to a much better agreement between various PDF determinations, besides the huge reduction in uncertainty with the LHeC.

A sizeable uncertainty is also related to the strong coupling constant, a difference in \( \alpha_s \) of \( \pm 0.005 \) corresponding to an approximately 10\% cross section uncertainty, see e.g. \[19\] or \[20\]. Obviously, the large improvement in the determination of \( \alpha_s \) with the LHeC will greatly reduce this uncertainty too. Essentially with such a high quality data set as the LHeC can provide, one will simultaneously determine the coupling and the PDFs, and control their correlations at a very high level of precision. In \[21\] a systematic evaluation has been presented of the effect of the heavy quark masses and of \( \alpha_s \) on the uncertainties of the Higgs branching fractions in various channels. One finds sizeable effects, such as 6\% from \( M_c \) on the \( H \to c \bar{c} \) branching ratio or 5.6\% from \( \alpha_s \) on \( H \to gg \). These will certainly be much reduced. It is for future studies to more systematically analyse the striking potential of the LHeC to remove or reduce the QCD uncertainties on the Higgs cross sections and couplings. There will also be improvements related to QCD measurements at the LHC. Their level of precision, however, especially for the gluon, \( \alpha_s \) and heavy flavour QCD cannot compete with the DIS data from LHeC.

It has also been observed \[1\], that the LHeC can specifically explore well the CP structure of the \( HWW \) coupling by separating it from the \( HZZ \) coupling and the other signal production mechanisms. Any determination of an anomalous \( HWW \) vertex will thus be free from possible contaminations of these. A further advantage of the \( ep \) collider kinematics stems from the ability to disentangle clearly the direction of the struck parton and the final state lepton (clear definitions of the forward and backward directions). Compared to the \( pp \) situation, \( ep \) lacks the complications due to underlying event and pile-up driven backgrounds.

The few initial studies performed so far will be pursued further in the light of recent observations from the
LHC experiments. For the projected analyses, this primarily concerns using a full LHeC detector simulation, and optimising further the detector design. For the accelerator design it is obvious that a luminosity in excess of $10^{33}\text{cm}^{-2}\text{s}^{-1}$ is very desirable, see the discussion on machine parameters in Section 2. This would open up the possibility of also making precision measurements of rarer ($\tau$, $Z$, $W$, perhaps photon) decay channels, the CP angular distributions for both the $HWW$ and $HZZ$ couplings, and NC initiated production, a scenario in which the LHeC collider itself would have a truly remarkable potential to study both the Higgs boson and mechanism. Meanwhile, the additional improvements gained in removing a large part of the QCD and PDF related uncertainties of the Higgs measurements in $pp$ will help to make the LHC a precision Higgs facility.

6 Heavy Ion Physics

As discussed in [1], the study of $eA$ collisions at the LHeC will have strong implications on physics of ultrarelativistic heavy-ion collisions presently studied at RHIC and at the LHC. This applies both to the initial state which determines the subsequent behaviour of the dense medium produced in the collisions, and to the ability of hard probes to characterise such a medium. Different physical effects, that are not due to the presence of a medium, need to be cleanly separated, like nuclear modifications of parton densities or details of the mechanism of particle production. Finally, it is also crucial to understand how the medium affects the probe, for example the mechanism of QCD radiation and parton energy loss in a medium.

6.1 Aspects of heavy-ion physics that can be addressed in $eA$ at the LHeC

Currently, nuclear parton distribution functions (nPDFs) suffer from large uncertainties due to the very limited coverage in the kinematics obtained by the measurements in low-energy fixed-target experiments. As a result, gluon and quark distribution functions are presently almost unconstrained for values of $x$ below $10^{-2}$, which translates into uncertainties in the precise characterisation of the medium in heavy-ion collisions through hard probes e.g. $J/\Psi$ production [22].

The LHeC will provide an unprecedented precision for the measurement of the parton content of nuclei. The kinematic coverage for $eA$ collisions at the LHeC will allow to extend the $x$ and $Q^2$ ranges by 3 to 4 orders of magnitude down to $x \sim 10^{-5} - 10^{-6}$ and up to $Q^2 \sim 10^6 \text{GeV}^2$ respectively, see [1, 2]. Flavour decomposition of the nuclear structure functions will be performed for the first time, including the measurement of the previously unknown charm and beauty components of nPDFs. An example of the constraining power of the LHeC is illustrated in Fig. 6 (left) where the nuclear modification factor is shown for the gluon distribution as a function of $x$ for a fixed value of $Q^2$. Clearly, the LHeC offers huge possibilities for distinguishing between different models of nuclear shadowing and for constraining the nuclear parton dynamics, particularly at small values of $x$. Note also that diffraction in $ep$ and nuclear shadowing are theoretically related through Gribov relation that can be cleanly tested at the LHeC. Finally, access to large values of $x > 0.1$ will also be possible at the LHeC, thus providing additional information about the antishadowing and EMC effects for nuclear ratios.

Ultrarelativistic heavy-ion collisions at RHIC and the LHC allow to create and characterise partonic matter under extreme conditions. The description of the collective behaviour of such matter involves several stages, which include modelling the initial conditions prior to isotropisation, the subsequent evolution of the system through relativistic hydrodynamics and, finally, hadronisation. The initial conditions for the heavy ion collisions are currently being parameterised and fitted to the data. They involve large uncertainties which translate into the uncertainties of the extracted bulk properties of the medium such as shear viscosity [23].

The LHeC offers unique possibilities for pinning down these initial conditions. The initial state can be determined through the details of nPDFs and of particle production, both measured precisely in $eA$ collisions. Furthermore, there are sound theoretical indications that at low $x$ and for large nuclei, a novel regime of QCD appears that is characterised by high parton densities. In this regime, the standard collinear framework that was developed for a dilute parton system must break down and should be superseded by a more complicated, non-linear evolution setup that leads to the saturation of parton densities. The existence and properties of this partonic dense regime will be tested at the LHeC through several measurements ranging from those of
structure functions, with subsequent determination of parton distribution functions in nuclei (see Fig. 6 (left)) and inclusive diffractive to more exclusive ones such as elastic vector meson production (Fig. 6 (centre)). Thus it will be possible to locate the onset of the saturation regime as a function of $x$, mass number and impact parameter of the collision. Remarkably, and unlike in lower energy facilities, at the LHeC this phenomenon can be investigated in the DIS region where the coupling is small and perturbative techniques are applicable to the non-linear regime. Furthermore, saturation can be observed both in $ep$ and $eA$, which gives a unique possibility for disentangling saturation from other nuclear effects.

Finally, one of the standard tools for characterising the medium created in heavy-ion collisions is the modification of the yield of high-energy particles - jet quenching - due to the changes in QCD radiation and hadronisation induced by the presence of a dense medium. Such characterisation demands a detailed understanding of these phenomena that can be achieved by studying particle and jet yields and correlations in $eA$ collisions at the LHeC. In this respect, the kinematics of the parton whose radiation and hadronisation undergoes medium modifications is much more precisely constrained in DIS than in hadronic collisions. As an example, the large kinematic range of LHeC allows to investigate the dynamics of partons travelling through the nucleus with energies from moderate to very large. Besides, the study of particle angular correlations (e.g. back-to-back ones, Fig. 6 (right)) will offer insight both on these changes and on the possible breakdown of collinear factorisation and the existence of a dense partonic regime.

6.2 Prospects in $p$Pb collisions at the LHC compared to $e$Pb at the LHeC

A first $p$Pb run at the LHC is scheduled for early 2013 (a pilot run providing $O(10^6)$ collisions per experiment happened last September 13th 2012 and one publication already appeared [24]). Tentative plans exists for additional runs in the future [25]. They offer information [26] about similar aspects relevant for heavy-ion collisions to those discussed here for $eA$ at the LHeC. The $x - Q^2$ region explored at the LHC with forward
instrumentation both in hadronic and ultraperipheral collisions, and at the LHeC, will be comparable [1,26]

Nevertheless, even assuming that corrections to collinear factorisation are small - though they are expected to be larger in pA than in pp, the nuclear modifications of partonic densities and of fragmentation and hadronisation, come intrinsically mixed for most observables in pA collisions, see e.g. the discussion in [27]. Therefore, they will be far more difficult to constrain in pPb at the LHC than in ePb at the LHeC. Besides, the accuracy - of a few percent - for measurements of cross sections achievable at the LHeC cannot be matched in a pA collider. Finally, the determination of the kinematic variables relevant for parton densities, fragmentation functions and other quantities of interest, is much more direct in DIS than in hadronic collisions. Thus, the information that can be obtained in ePb collisions at the LHeC will be substantially more precise, and the possibilities for discovery of the dense regime of QCD at small x through quantitative studies as those proposed in [1] significantly larger, than in pPb collisions at the LHC.

7 Summary

The LHeC is a new ep collider of unprecedented kinematic range, luminosity and precision in deep inelastic scattering. This leads to the first ever complete measurement of PDFs, including, for example, the strange density. It furthermore extends to very high Bjorken x in ep and to such large Q² that no nuclear or higher twist corrections affect the high x PDF determinations. A much deeper understanding of quark-gluon dynamics is needed and is in sight, exemplified by the potential of the LHeC to measure αs(M2Z) to per mille precision.

The LHeC is designed to operate synchronously with the HL-LHC. Preparations have begun, following the detailed design concept report and a corresponding mandate from CERN, supported by ECFA and NuPECC, to prototype critical components and to carry out more detailed studies, such as for the interaction region and high luminosity optics, in major international collaborations with CERN. As has been indicated here, there is a potential for the LHeC to achieve luminosities in excess of 10^{33} cm⁻²s⁻¹. The formation of a detector collaboration has indeed begun.

The present paper discussed the relation of the LHeC to the LHC, in its HL phase. As indicated by the ATLAS contribution to the ESPP, there are two major questions for the HL-LHC to investigate, the properties of the 126 GeV boson, which likely is the Higgs particle, and the search for maximum mass particles, of several TeV in direct production mode. It has been argued here that the LHeC can assist the transformation of the LHC into a precision Higgs facility, with its own coupling and CP measurements based on clean WW fusion in ep, and with its ultra-precise PDF, heavy quark and αs determinations, which will reduce the theoretical uncertainties of Higgs measurements in pp to a negligible level. It is similarly apparent that the discovery potential of new particles at high masses at the HL-LHC is severely limited by the deviations and uncertainties of the predictions based on currently available PDF sets, as well as the uncertainties of input parameters such as the heavy quark masses and αs. In these representative examples, the prominent decay mode H → b̅b̅ has been used for the Higgs, while for SUSY, gluino pair production was used.

It has also been discussed which role DIS and Drell-Yan scattering can play in the determination of PDFs, which may be illustrated by comparing the HERA and Tevatron PDF related results. Clearly ep provides precision information on the quark and gluon structure and quark-gluon dynamics, while the prime task of pp is the extension of the energy frontier. The LHeC is the only machine currently proposed that can provide the data to enable an all-flavour PDF decomposition of the proton in an unbiased, assumption-free way.

The paper has also summarised the importance of electron-ion scattering for the LHC heavy ion physics programme, with the determination of nuclear PDFs in a phase space extended by 4 orders of magnitude and diversified with heavy quark nPDFs to be measured for the first time. The LHeC determines the initial state of the QGM and leads to a quantitative understanding of the hadronisation in media, controlled by the electron DIS kinematics.

The LHeC has its own, fundamental physics programme, examples being saturation and diffractive physics, and the resolution of deuteron, neutron and photon structure. Its relation to the LHC extends beyond the currently most prominent examples of Higgs measurements and SUSY searches, encompassing
the top quark, leptoquarks, excited leptons and electroweak physics. The CDR has demonstrated that the LHeC may be realised without any major extra machine delays. Pairing the unique hadron beams of the LHC with a new lepton beam would therefore substantially enrich the physics potential of the LHC facility and make optimum use of the major investment already made and envisaged for the LHC.

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J.L. Abelleira Fernandez, C. Adolphsen, P. Adzic, A.N. Akay, H. Akkasal, J.L. Albacete, B. Allanach, S. Alesgård, F. Allport, V. Andrei, R.B. Appleby, E. Arzhanov, N. Armenteros, M. Auzelos, M. Bai, D. Barbero, J. Bartels, O. Bekele, J. Beh, A.S. Belyshev, J. Ben-Zvi, N. Bernard, S. Bertolucci, S. Bettoni, B. Biesiadecki, A. Bogacz, C. Bracco, J. Braneček, G. Brandt, H. Braun, S. Brodsky, O. Brüning, E. Bulanov, A. Buniyatyan, H. Burkhardt, I.T. Cakir, O. Cakir, R. Calaga, A. Caldwell, V. Cetinkaya, A. Chekelian, E. Ciapala, R. Cifco, A.K. Ciftci, B.A. Cook, J.C. Collins, O. Dadoun, J. Dainton, A. De Roeck, D. d’Enterria, P. DiNezza, A. Dudarev, A. Eide, R. Ebergen, E. Eroglu, K.J. Eskola, L. Favart, M. Fitterer, S. Forte, A. Gaddi, P. Gambino, H. García Morales, T. Gehrmann, P. Gladkikh, C. Glasman, A. Glazov, R. Godbole, B. Goddard, T. Greenshaw, A. Guiffant, V. Guzy, C. Gwin, T. Han, Y. Hao, F. Haug, W. Herr, A. Herve, B.J. Holzer, M. Ishitsuka, M. Jacquet, B. Jeannefer, E. Jensen, J.M. Jimenez, J.M. Jowett, H. Jung, H. Karadeniz, D. Kayran, A. Kilic, K. Kimura, R. Klee, M. Klein, U. Kläs, T. Kluge, F. Kocak, M. Korostelev, A. Kosmicki, P. Kostka, H. Kowalski, M. Krawiec, G. Kremen, D. Kuchler, M. Kuze, T. Lappi, E. Leiva, S. Levonian, V. Litvinenko, A. Lombardi, J. Maedt, C. Marque, B. Mellado, K.H. Mess, A. Milanese, J.G. Milhano, J.C. Moerzov, Y. Mutton, S. Myers, S. Nandi, Z. Nergiz, P.R. Newman, J. Osborne, E. Paoloni, Y. Papaphilippou, C. Pascuda, H. Paulkun, N. Perez, T. Pielen, E. Pilcker, B. Pire, R. Placakyte, A. Polini, V. Pitsyn, Y. Pupkov, V. Radescu, S. Raychaudhuri, L. Rinolfi, E. Rizvi, R. Rohini, J. Rojo, S. Russenschuck, M. Sahin, C.A. Salgado, K. Sampedo, E. Saunier, M. Schafer, U. Schneekloth, T. Schöner, T. Schöner, D. Schulte, A. Senol, A. Seryi, P. Sievers, A. N. Skrinsky, W. Smith, D. South, H. Spiesberger, A. M. Stasto, M. Strikman, M. Sullivan, S. Sultanov, Y. P. Sun, B. Surrow, L. Szymanski, P. Tsai, T. Tapan, T. Tasi, H. Ten Kate, J. Terez, H. Thiesen, L. Thompson, K. Tokushukai, R. Togli, R. Garcia, D. Tommasini, D. Tjojev, N. Tsoupas, J. Tuckmantel, S. Turkov, T.N. Trinh, K. Tytia, G. Ueno, T. Ullrich, J. Urakawa, P. Van Mechelen, A. Variola, R. Veness, A. Vivaldi, P. Volby, J. Wagner, R. Wallny, S. Wallon, A. Wat, C. Weiss, U.A. Wiedemann, U. Wienen, M. Willeke, B.-W. Xiao, Y. Yakimenko, A.F. Zarembo, Z. Zhang, F. Zimmermann, R. Zlebcik, F. Zomer

01 Ankara University, Turkey
02 SANAEM, Ankara, Turkey
03 TOBB University of Economics and Technology, Ankara, Turkey
04 LAPP, Annecy, France
05 University of Antwerp, Belgium
06 University of Birmingham, UK
07 INFN Bologna, Italy
08 HHE, Université Libre de Bruxelles, Belgium, supported by the FNRS
09 University of Buenos Aires, Argentina
10 INFN Gruppo Collegato di Cosenza and Universita della Calabria, Italy
11 Massachusetts Institute of Technology, Cambridge, USA
12 Charkow National University, Ukraine
13 University of Copenhagen, Denmark
14 Cockcroft Institute, Daresbury, UK
15 Rutherford Appleton Laboratory, Didcot, UK
16 CERN, Geneva, Switzerland
17 DESY, Hamburg and Zeuthen, Germany
18 University of Hamburg, Germany
19 Hampton University, USA
20 University of California, Irvine, USA
21 University of Jyväskylä, Finland
22 Kastamonu University, Turkey
23 EPFL, Lausanne, Switzerland
24 University of Liverpool, UK
25 University of California, Los Angeles, USA
26 Lund University, Sweden
27 University of Wisconsin-Madison, USA
28 Universidad Autónoma de Madrid, Spain
29 University of Mainz, Germany
30 The University of Manchester, UK
31 INFN Milano, Italy
32 University of Milano, Italy
33 University of Montréal, Canada
34 LPI Moscow, Russia
35 Tata Institute, Mumbai, India
36 Jefferson Lab, Newport News, VA 23606, USA
37 Brookhaven National Laboratory, New York, USA
38 Columbia University, New York, USA
39 Nigde University, Turkey
supported by European Research Council grant HotLHC ERC-2011-StG-279579 and MiCinn of Spain grants FPA2008-01177, FPA2009-06867-E and Consolider-Ingenio 2010 CPAN CSD2007-00042, Xunta de Galicia grant PGIDIT10PXIB206017PR, and FEDER.

b supported by the Academy of Finland, project no. 141555.

c supported by the Sloan Foundation, DOE OJI grant No. DE-SC0002145 and Polish NCN grant DEC-2011/01/B/ST2/03915.

d supported by the Turkish Atomic Energy Authority (TAEK).

e supported by the P2IO consortium.