Mechanics of Crater-Enabled Soft Dry Adhesives: A Review

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Dry adhesion is governed by physical rather than chemical interactions. Those may include van der Waals and electrostatic forces, friction, and suction. Soft dry adhesives, which can be repeatedly attached to and detached from surfaces, can be useful for many exciting applications including reversible tapes, robotic footpads and grippers, and bio-integrated electronics. So far, the most studied Soft dry adhesives are gecko-inspired micro-pillar arrays, but they suffer from limited reusability and weak adhesion underwater. Recently cratered surfaces emerged as an alternative to micro-pillar arrays, as they exhibit many advantageous properties, such as tunable pressure-sensitive adhesion, high underwater adhesive strength, and good reusability. This review summarizes recent work of the authors on mechanical characterization of cratered surfaces, which combines experimental, modeling, and computational components. Using fundamental relationships describing air or liquid inside the crater, we examine the effects of material properties, crater shapes, air vs. liquid ambient environments, and surface patterns. We also identify some unresolved issues and limitations of the current approach, and provide an outlook for future research directions.

Keywords: dry adhesive, suction, crater, micro-pillar, adhesive strength, underwater adhesion

INTRODUCTION

Soft adhesives are conformable and deformable binding agents between two surfaces. Engineered soft adhesives have become part of our daily life, e.g., medical bandages for wound healing, stretchable brace tapes for joint protection, and double-sided tapes for paper sticking. Soft adhesives are usually categorized as either soft wet adhesives (SWAs) or soft dry adhesives (SDAs). SWAs bond surfaces together through either chemical reactions or mechanical loading (Czech et al., 2013; Cho et al., 2019; Yuk et al., 2019). Acrylics, polyether, silicones, polyesters, and polyurethanes are commonly used bonding agent for PSAs (Singh et al., 2011; Cilurzo et al., 2012). For example, a well-known class of SWAs is pressure-sensitive adhesives (PSAs) which consist of a viscoelastic bonding agent that can instantaneously form a bond to the adherend under applied pressure (Creton, 2003; Czech and Kowalczyk, 2011). Acrylics, polyether, silicones, polyesters, and polyurethanes are commonly used bonding agent for PSAs (Singh et al., 2011; Cilurzo et al., 2012). Due to their viscous nature, PSAs can flow to conform to rough surfaces upon compression, and the inherent tackiness and low surface energy of the adhesive materials facilitate strong bonding onto a variety of substrates (Singh et al., 2014). However, with the rapid development of bioelectronics and the increasing demand for seamless integration between humans and machines, conventional SWAs are facing some challenges. First, despite their relatively strong bonding capability, the tacky binding agent can be easily contaminated with impurities (e.g., dust, sebum, etc.), limiting both the ability to reposition and reuse. Second, the binding agent may...
PILLAR- AND CRATER-ENABLED SOFT DRY ADHESIVES

So far, the most widely studied SDAs are surfaces with arrays of micro-pillars. The inspiration came from terrestrial species including lizards and geckos whose toe pads are covered by intricate fibrils that enable strong attachment as well as easy release (Autumn et al., 2000; Autumn et al., 2002; Arzt et al., 2003; Gao and Yao, 2004; Hansen and Autumn, 2005; Yao and Gao, 2006). Autumn et al. (2000) first discovered the hierarchical lamellae and setae structures of gecko toe pads by scanning electron microscopy (SEM). There, each seta branches into hundreds of 200 nm thin spatula, capable of conforming to curvilinear and rough surfaces. The normal adhesive strength of those toe pads was measured at of 100 kPa (Autumn et al., 2000), which is comparable to that of a 3M Scotch™ tape (200 kPa). The strong adhesion of the gecko toe pads was solely attributed to vdW forces between the nanoscale spatula and the target surface, rather than chemical bonding (Autumn et al., 2002). Aside from the remarkable attachment performance, the fibrillar system also exhibits superior reversibility and self-cleaning capability (Hansen and Autumn, 2005).

Figures 1A–E showcase several representative synthetic micro-scale surface features resembling gecko fibrils. The simplest design is micro-pillars with flat tips (Del Campo and Arzt, 2007; Del Campo et al., 2007a; Del Campo et al., 2007b) (Figure 1A). More advanced designs involve micro-pillars with hierarchy (Greiner et al., 2009; Wang et al., 2014) (Figure 1B). Spatula tips (Del Campo and Arzt, 2007; Del Campo et al., 2007a) (Figure 1C) have been designed to more closely mimic the gecko’s toe pads. Emulating the design principle of the tilting setae on gecko’s toe pads, slanted structures have been widely exploited to generate directional adhesion (Figure 1D) (Autumn et al., 2006a; Murphy et al., 2009; Moon et al., 2010; Afferrante and Carbone, 2012; Jin et al., 2014; Wang et al., 2014; Wang et al., 2015; Seo et al., 2016; Wang, 2018). This represents a breakthrough in developing reversible adhesives that truly resemble their natural prototypes. Among all the tip geometries, the mushroom-like shape (Figure 1E) stands out as it exhibits large adhesive strength by reducing the stress concentration at the pillar-substrate interfaces (Del Campo et al., 2007a; Carbone et al., 2011; Carbone and Pierro, 2012; Bae et al., 2013; Wang et al., 2014; Marvi et al., 2015; Kim et al., 2016). The vibrant research on micro-pillar-based SDAs has been summarized by many excellent review articles, with various focuses on the adhesion mechanisms, design principles, fabrication methods, and performance characterizations (Pattanyus-Abraham et al., 2013; Zhou et al., 2013; Sahay et al., 2015; Eisenhaure and Kim, 2017; Xiaosong et al., 2019).

Figures 1F–L display examples of another type of SDAs, suction- or crater-based adhesives, which is the focus of this paper and will be discussed in detail later.

Despite extensive research in the last two decades, as far as applications are concerned, micro-pillar-enabled SDAs are facing some major barriers. First, according to “contact splitting” theory (Arzt et al., 2003; Chan et al., 2007; Kamperman et al., 2010), the adhesion can be enhanced by splitting up the contact with the adherend into finer subcontacts, enabled by extremely tiny fibrils. However, scaling-down the pillar size faces fundamental physical limitations and dramatically increases manufacturing difficulties and costs. Those challenges have been recognized in both electron beam lithography (Pease, 1981; Vieu et al., 2000) and nano-embossing (Becker and Heim, 2000; Kim et al., 2007). Furthermore, slender pillars are prone to buckling and collapsing, resulting in undesirable entanglements and/or mats (see Figure 2A). In fact, buckling may even lead to rupture and detachment (Chan et al., 2007; Del Campo and Arzt, 2007; Greiner et al., 2007; Kim et al., 2007; Kim et al., 2016; Eisenhaure and Kim, 2017). All of these degradation mechanisms may significantly impair the adhesive strength, leading to limited robustness and reusability. On a different note, it has been widely reported that micro-pillars may lose their van der Waals adhesion on wet surfaces or in aquatic environments (Buhl et al., 2009; Pesika et al., 2009; Baik et al., 2017; Cadirov et al., 2017; Ma et al., 2018). A typical adhesion test shown in Figure 2B unveils that humidity dramatically decreases the adhesion of micro-pillar arrays (Cadirov et al., 2017). This is consistent with another experimental observation that micro-pillar arrays almost completely lose adhesion with moisture or underwater (see the green bars in Figure 2C) (Baik et al., 2017). Figure 2D, taken from the same paper (Baik et al., 2017), highlights the adhesion of cratered surfaces, which will be discussed later.

According to Bartlett et al. (Bartlett et al., 2012; Bartlett and Crosby, 2014), the adhesive force of micro-pillars can be scaled as 

\[ F_{ad} \sim \sqrt{A/C} \]

where A is the actual contact area and C is the system compliance in the loading direction. Based on this scaling law, aside from enlarging effective contact area A, the adhesive force may also be enhanced by decreasing the system compliance C. An easy way to minimize the compliance C is by utilizing stiff materials. Here, we summarize existing data from the literature in an Ashby plot (Figure 3, numbers are listed in Table 1 and Table 2) where the experimentally measured...
normal adhesive strength is plotted versus material Young’s modulus (Geim et al., 2003; Sitti and Fearing, 2003; Kim and Sitti, 2006; Del Campo et al., 2007b; Lee et al., 2008; Lu et al., 2008; Cheung and Sitti, 2009; Davies et al., 2009; Murphy et al., 2009; Parness et al., 2009; Sameoto and Menon, 2009; Kwak et al., 2011; Bae et al., 2013; Tsai and Chang, 2013; Jin et al., 2014; Fischer et al., 2016; Kim et al., 2016; Drotlef et al., 2017; Hu et al., 2017). In this plot, the purple zone represents pillar-based adhesives in dry environments, the orange zone highlights crater-based adhesives under normal ambient conditions, and the green zone indicates crater-based adhesives under high humidity, wet or underwater environments. In particular, setae (material: β-keratin with $E \sim 1–2$ GPa) on gecko toe pads can produce $\sim$100 kPa adhesive strength (Autumn et al., 2000; Autumn et al., 2006b; Huber et al., 2008) as highlighted by the gecko icon in the plot. To achieve adhesion on par with gecko toe pads, stiff materials are usually employed such as polythiophene nanotubes ($E \sim$ GPa) (Lu et al., 2008) and carbon nanotubes ($E \sim$ TPa) (Zhao et al., 2006). But reducing the compliance $C$ would also inherently compromise the softness of the adhesive and their conformability to curvilinear surfaces, especially when the surface is deformable (e.g., human skin), (Qiao et al., 2015; Wang and Lu, 2016; Wang et al., 2017a), which limits their applications. However, when micro-pillars are fabricated out of soft materials ($E < 3$ MPa), their adhesive performance is significantly compromised as shown in Figure 3, resulting in two distinctive purple zones.

**Figure 1** Examples of nature-inspired soft dry adhesives (SDAs). (A–E) Gecko-inspired synthetic micro-pillars with various tip geometries: (A) flat tip (reprinted with permission from ref (Del Campo et al., 2007b)); (B) hierarchical tip (reprinted with permission from ref (Greiner et al., 2009)); (C) spatular tip (reprinted with permission from ref (Del Campo and Arzt, 2007)); (D) slanted tip (reprinted with permission from ref (Murphy et al., 2009)); (E) mushroom-like tip (reprinted with permission from ref (Wang et al., 2014)). (F) A combinational structure – micro-pillars with concave tip (reprinted with permission from ref (Baik et al., 2018)). (G–K) Octopus-inspired synthetic micro-suckers or craters: (G) nano-craters on UV resin surfaces (reprinted with permission from ref (Chang et al., 2014)); (H) reversible adhesive skin patch with micro-craters on multilayer PDMS (reprinted with permission from ref (Choi et al., 2018)); (I) micro-craters on PDMS surface (reprinted with permission from ref (Akerboom et al., 2015)); (J) micro-craters with interior protuberances (reprinted with permission from ref (Baik et al., 2017)); (K) square-patterned micro-craters on PDMS surface (reprinted with permission from ref (Nanni et al., 2015)). (L) Another combinational structure – pillar with funnel-shaped tip (reprinted with permission from ref (Fischer et al., 2017)).
**FIGURE 2** | Limitations of pillared surfaces and advantages of cratered surfaces as SDAs. (A) A scanning electron microscopy (SEM) image of pillar condensation, (reprinted with permission from ref (Kim et al., 2007)). (B) Adhesion force of micro-pillars as a function of relative humidity (reprinted with permission from ref (Cadirov et al., 2017)). (C) Adhesive strengths of various pillared and cratered structures where red: protuberance-shaped crater; blue: perforated cylinders; green: cylindrical pillar; brown: cylindrical hole; black: flat surface (reprinted with permission from ref (Baik et al., 2017)). (D) Repeatable adhesion of the crater-enabled SDAs after more than 10000 cycles of attachment and detachment (reprinted with permission from ref (Baik et al., 2017)).

**FIGURE 3** | An Ashby plot of normal adhesive strength vs. material Young’s modulus for both pillar-enabled and crater-enabled SDAs. Purple regimes enclose data of pillared surfaces in air. The orange regime denotes craters in air and the green regime represents craters underwater.
Another class of reusable SDAs emerged as arrays of micro-craters (i.e., dimples or depressions engineered on polymer surfaces). In fact, utilizing suction for attachment has been widely observed in nature. The arms of aquatic cephalopods such as squid and octopus are equipped with hundreds of suckers for anchoring and object manipulation (Smith, 1991; Kier and Smith, 2002; Von Byern and Klepal, 2006; Tramacere et al., 2013; Tramacere et al., 2014b). The pressure drop inside the sucker, termed negative pressure, can reach 300 kPa for octopus and 800 kPa for decapod (Smith, 1991; Smith, 1996). Cephalopod suckers have been emulated on aquatic robots using active pumps (Wang et al., 2017c; Shintake et al., 2018) as well as passive adhesive tapes (Choi et al., 2016; Baik et al., 2017). Passive cratered surfaces have demonstrated remarkable adhesion capabilities in recent years. Just to name a few, in 2014, Chang et al. (Chang et al., 2014) created an array of submicron-sized craters on UV resin (Figure 1G) and measured adhesive shear strengths as high as 750 kPa on silicon wafers (Chang et al., 2014). In 2015, Choi et al. fabricated an array of 1 μm-diameter craters on the surface of a multilayer polydimethylsiloxane (PDMS) (Figure 1H) and the measured adhesive strength exceeded that of the same PDMS with either flat or pillared surface (Choi et al., 2016). Also in 2015, Akerboom et al. fabricated close-packed nano-dimples on 10:1 (base-to-curing agent ratio) PDMS (Figure 1I) and found a larger pull-off force in comparison to flat PDMS surfaces (Akerboom et al., 2015). In

TABLE 1 | Micro-pillar-enabled Soft dry adhesives.

| Material                  | Modulus (MPa) | Normal adhesion (kPa) | Tip diameter (μm) | Pillar length (μm) | Tip shape | Reference                      |
|---------------------------|---------------|-----------------------|-------------------|--------------------|-----------|--------------------------------|
| Polythiophene nanotube    | 1,500         | 800                   | 0.2               | 12                 | Nanohair  | (Lu et al., 2008)              |
| Polyurethane              | 3             | 180                   | 4.5               | 20                 | Mushroom  | (Kim and Sitti, 2006)          |
| Sylgard 184               | 1–10          | 111–219               | 40                | 100                | Mushroom  | (Davies et al., 2009)          |
| MWCNT                     | 10E5          | 117                   | 0.02–0.03         | 5–10               | Fiber     | (Zhang et al., 2009)           |
| Sylgard 184               | 1–10          | 100–180               | 10                | 20                 | Mushroom  | (Sameshima et al., 2009)       |
| Gecko (β-keratin)         | 1,500         | 100                   | —                 | —                  | Hierarchical | (Autumn et al., 2009)         |
| Sylgard 184               | 0.76          | 5                     | 10                | 30                 | Mushroom  | (Del Campo et al., 2007b)      |
| Graded PDMS               | 5             | 92.5                  | 2                 | 2                  | Round | (Tsai and Chang, 2013)         |
| Polyurethane              | 2.9           | 24                    | 50                | 100                | Mushroom  | (Cheung and Sitti, 2009)       |
| Polyurethane              | 3             | 50                    | 35                | 100                | Tilded    | (Murphy et al., 2009)          |
| Polyimide                 | 2,500         | 30                    | 0.2–4             | 0.15–2             | Fiber     | (Gim et al., 2003)             |
| PDMS                      | 2–3           | 22.5                  | 20                | 55                 | Mushroom  | (Hu et al., 2017)              |
| PDMS                      | 2             | 13                    | 5                 | 5–20               | Mushroom  | (Kim et al., 2011)             |
| PDMS                      | 1.5–3.5       | 13                    | 5                 | 30                 | Titled    | (Kim et al., 2015)             |
| PDMS                      | 2–3           | 12.5                  | 13                | 80                 | Mushroom  | (Jin et al., 2014)             |
| PDMS                      | 2–3           | 10.5                  | —                 | 100                | Wedge     | (Tao et al., 2017)             |
| PDMS                      | 2.6–8.2       | 7.5–18                | 5                 | 20                 | Mushroom  | (Baek et al., 2013)            |
| PDMS                      | 2–3           | 7.5–14                | 60–95             | 120                | Mushroom  | (Drotlef et al., 2017)         |
| Silcones                  | 1.75–2.63     | 5.1                   | 50                | 200                | Wedge     | (Parness et al., 2009)         |
| Silicone rubber           | 0.57          | 0.028                 | 0.2               | 60                 | Fiber     | (Sitti and Fearing, 2003)      |

Another class of reusable SDAs emerged as arrays of micro-craters (i.e., dimples or depressions engineered on polymer surfaces). In fact, utilizing suction for attachment has been widely observed in nature. The arms of aquatic cephalopods such as squid and octopus are equipped with hundreds of suckers for anchoring and object manipulation (Smith, 1991; Kier and Smith, 2002; Von Byern and Klepal, 2006; Tramacere et al., 2013; Tramacere et al., 2014b). The pressure drop inside the sucker, termed negative pressure, can reach 300 kPa for octopus and 800 kPa for decapod (Smith, 1991; Smith, 1996). Cephalopod suckers have been emulated on aquatic robots using active pumps (Wang et al., 2017c; Shintake et al., 2018) as well as passive adhesive tapes (Choi et al., 2016; Baik et al., 2017). Passive cratered surfaces have demonstrated remarkable adhesion capabilities in recent years. Just to name a few, in 2014, Chang et al. (Chang et al., 2014) created an array of submicron-sized craters on UV resin (Figure 1G) and measured adhesive shear strengths as high as 750 kPa on silicon wafers (Chang et al., 2014). In 2015, Choi et al. fabricated an array of 1 μm-diameter craters on the surface of a multilayer polydimethylsiloxane (PDMS) (Figure 1H) and the measured adhesive strength exceeded that of the same PDMS with either flat or pillared surface (Choi et al., 2016). Also in 2015, Akerboom et al. fabricated close-packed nano-dimples on 10:1 (base-to-curing agent ratio) PDMS (Figure 1I) and found a larger pull-off force in comparison to flat PDMS surfaces (Akerboom et al., 2015). In

TABLE 2 | Crater-Enabled Soft dry adhesives.

| Material | Modulus (MPa) | Shape               | Ambient condition | Diameter (μm) | Normal adhesion (kPa) | Reference                         |
|----------|---------------|---------------------|-------------------|---------------|-----------------------|-----------------------------------|
| s-PUA    | 1.5           | Protuberance        | In air            | 30            | 15                    | (Saik et al., 2017)               |
|          |               |                     |                   | 100           | 26                    |                                   |
|          |               |                     |                   | 300           | 25                    |                                   |
|          |               |                     | Underwater        | 30            | 25                    |                                   |
|          |               |                     |                   | 100           | 42                    |                                   |
|          |               |                     |                   | 300           | 15                    |                                   |
| PDMS     | 0.8           | Concave             | In air            | 30            | 20                    | (Saik et al., 2016)               |
|          |               |                     |                   | 100           | 30                    |                                   |
|          |               |                     | Underwater        | 30            | 8                     |                                   |
|          |               |                     |                   | 1,000         | 32                    |                                   |
|          |               |                     |                   | 300           | 15                    |                                   |
|          |               |                     |                   | 100           | 115                   |                                   |
|          |               |                     |                   | 1,000         | 55                    |                                   |
| 2.2      |               | Concave with rim    | In air            | 5             | 13                    | (Chen et al., 2018)               |
| 0.5      |               | Protuberance        | In air            | 30            | 60                    | (Kim et al., 2019)                |
|          |               |                     |                   | Underwater    | 30                    |                                   |
|          |               |                     |                   | 45            |                       |                                   |
| 0.2      |               | Protuberance        | In air            | 30            | 18                    | (Chun et al., 2015)               |
|          |               |                     |                   | Underwater    | 13                    |                                   |
| PDMS     | 0.105         | Concave             | In air            | 1             | 1.5                   | (Choi et al., 2016)               |
2017, Baik et al. fabricated dome-shaped protuberances within micro-craters (Figure 1J), whose adhesive strength was found to be 2-3 times higher than micro-pillars in dry condition (Baik et al., 2017). Similarly, enhanced adhesion has been reported by Nanni et al. who engineered PDMS with square-shaped craters (Figure 1K) (Nanni et al., 2015).

Beyond simple pillars or craters, researchers have combined the pillar effects with the suction mechanism. It has been experimentally confirmed that suction contributed 20% towards the total adhesive force in mushroom-like micro-pillars (Varenberg and Gorb, 2008; Tinnemann et al., 2019). The authors argued that vacuum may be generated between the thin mushroom-like tip and the surface during the detachment. In fact, micro-pillar stalks terminated with concave dome tip (Baik et al., 2018) (Figure 1F) or funnel-shaped tip (Fischer et al., 2017) (Figure 1L) have been realized and adhesive strength has been elevated to an ultrahigh value of 5.6 MPa (Fischer et al., 2017), which is gigantic compared with kPa-range adhesive strengths for simple pillars (e.g., Figures 1A–E) or simple craters (Figures 1G–K).

Although both are SDAs, crater-enabled adhesives have the following advantages relative to pillar-enabled adhesives: ease of fabrication, pressure-sensitive adhesion, excellent wet adhesion, superior scratch resistance and reusability, and high material compliance. Generally, crated surfaces are engineered by molding a soft elastomer on a negative template with domes. Such a fabrication method is generally easier than the process to produce hierarchical (Del Campo and Arzt, 2007; Greiner et al., 2009) or composite micro-pillars (Bae et al., 2013; Drotelef et al., 2019). Distinct from the micro-pillars whose adhesive strength is usually fixed once fabricated (Murphy et al., 2009; Mengüç et al., 2012; Chary et al., 2013), the adhesion of cratered surfaces depends on the preload (Akerboom et al., 2015; Baik et al., 2019b). It is also worth noting that crater arrays, similar to octopus suckers, show a conspicuously enhanced adhesive strength underwater or on wet surfaces (see the red bar in Figure 2C and the green domain in Figure 3). Also, without delicate protruding structures, cratered surfaces are more scratch resistant and reusable. For example, Baik et al. (Baik et al., 2017) demonstrated that the adhesive force of craters remained almost unchanged after 10,000 cycles of attachment and detachment (Figure 2D). Last but not least, as presented in Figure 3, crater-enabled SDAs are capable of producing higher adhesion while maintaining the desirable levels of material softness. Such high softness endows them with exceptional deformability as well as conformability on deformable, rough surfaces including bio-tissues (Choi et al., 2016). These advantages of crater-based adhesives have enabled many exciting applications including wall-climbing robots (Aksak et al., 2008; Sahay et al., 2015), object manipulation (Chang et al., 2014) such as wafer handling (Lee et al., 2016), and bio-integrated medical devices (Chun et al., 2018; Hwang et al., 2018; Oh et al., 2018; Baik et al., 2019a; Baik et al., 2019b; Kim et al., 2019; Iwasaki et al., 2020).

Let us point out that harnessing suction for attachment is ubiquitous. Thin-walled suction cups are widely used in everyday suction hooks and climbing robot pads (Figure 4A) (Yoshida and Ma, 2010; Manabe et al., 2012) due to their strong attachment and quick release. By assembling suction cups onto a tapered
elastomeric arm, Xie et al. recently demonstrated a soft actuator that was capable of grasping objects of various shapes (Figure 4B) (Xie et al., 2020). The same group also provided a feasible solution for preventing air leakage when gripping rough surfaces by programming the compliance of the sucker. The sucker was made of electrically responsive organohydrogel, which softened under high voltage, giving rise to conformable contact with rough surfaces (Figure 4C) (Zhuo et al., 2020). Theoretical analysis and experimental measurements have been carried out to understand both the attachment and detachment behaviors of suction cups. For instance, by actively pumping out the air through a connected tube, Liu et al., (2006) has reported the relationship between the negative pressure inside the cup and the active area, i.e. the area not in contact between the cup and the substrate. The suction force can be readily obtained through negative pressure multiplied by the active area. Different from air-pumping, Ge et al. proposed a pushing-detaching framework for characterizing the suction force of a commonly used passive suction cup (Figure 4D) (Ge et al., 2015). The process is illustrated in Figure 4D. In the beginning, the cup is resting on the substrate surface. Then a preload is applied to deform the suction cup such that air inside the cup is squeezed out and the suction cup successfully attaches to the substrate. To detach it, a pulling force is applied until it reaches the pull-off force. Based on this process, the suction force of the cup has been modeled and experimentally validated. However, such analysis is only applicable to thin-walled suction cups rather than craters which are dimples on the surface surrounded by the polymer matrix.

Despite a significant body of experimental evidence that suction is a significant adhesion mechanism for cratered surfaces, until recently, theoretical understanding and consequently model-guided design procedures were lacking. Our recent series of papers were a attempt intended to remedy this situation. We have developed an integrated computational-experimental-modeling approach for the quantitative characterization and understanding of the suction behaviors for various cratered surfaces under both dry and wet conditions. In the next section, we summarize our results by focusing on four factors controlling suction of isolated craters (Figure 5): Young’s modulus of the polymer matrix (Figure 5A) (Qiao et al., 2017), crater shape (Figure 5B) (Qiao et al., 2017;
Wang et al., 2019), air/underwater ambient environment (Figure 5C) (Wang et al., 2017b; Qiao et al., 2018), and elasto-capillary effect on micro/nano-craters (Figure 5D) (Wang et al., 2017b). In Section IV, we will discuss cratered surfaces and address the importance of the crater areal fraction as defined by the ratio between the projected area of crater and the base plane area of specimen (Figure 5E) (Wang et al., 2019) and patterns (Figure 5F) (Wang et al., 2019) of crattered arrays.

**ISOLATED CRATERS**

This section summarizes our results for isolated craters. The term isolated means that the crater dimensions are much smaller than all other specimen dimensions, and therefore the specimen can be regarded as a semi-infinite solid, where the only relevant dimensions are those of the crater.

**Isolated Craters in Air**

We begin this section by considering isolated craters in air as a precursor to considering the presence of liquids on the performance of isolated craters.

**Modeling Framework**

Following the earlier work on thin-walled suction cups (Ge et al., 2015), a loading-unloading process is established for calculating the suction force of an isolated crater, as illustrated by Figures 6A–C. Initially, the air inside the crater is characterized by the ambient pressure, \( p_0 \), volume \( V_0 \), and number of molecules \( N_0 \) (Figure 6A). The suction effect is realized in the following two steps:

1. The specimen is subjected to a remote compressive stress \( \sigma \), which squeezes air out of the crater. We refer to \( \sigma \) as the preload, and denote the state at the end of this step by the triplet \( (p_1, V_1, N_1) \) (Stage 1, Figure 6B).
2. The specimen is unloaded in such a manner that air does not return to the crater and the crater springs back. This action results in a pressure drop inside the crater which produces the suction force. At the end of this step, the air in the crater is characterized by the triplet \( (p_2, V_2, N_2) \) (Stage 2, Figure 6C).

Accordingly, the pressure drop is

\[
-\Delta p = p_1 - p_2
\]

and the suction force

\[
F = -\Delta p A_2
\]

where \( A_2 \) is the projected area of the crater at Stage 2.

Key assumptions adopted in this framework are:

a. The air flows freely out of the crater upon loading (Step 1), so that \( p_1 = p_0 \).

b. No air exchange takes place upon unloading (Step 2), so that \( N_2 = N_1 \).

c. The entire process is isothermal and air is an ideal gas, so that \( p_1 V_1 = p_2 V_2 \).

Assumptions (a) and (b) are consistent with the abovementioned models of thin-walled suction cups (Liu et al., 2006; Ge et al., 2015). However, in our experiment, to be discussed later, Assumption (a) is hard to achieve without a vent hole drilled in the substrate. Therefore, future research is required to realize Assumption (a) without any vent hole. Furthermore, secure sealing after loading should be validated to justify Assumption (b). With these three assumptions, the pressure drop can be related to the crater volumes as

\[
-\Delta p = \left(1 - \frac{V_1}{V_2}\right) p_0
\]

Therefore, the suction force becomes

\[
F = \left(1 - \frac{V_1}{V_2}\right) p_0 A_2
\]

If the ambient pressure is equal to the atmospheric pressure \( p_a \), we can define the suction-induced effective adhesive strength as

\[
\sigma_{\text{eff}} = \frac{F}{A_0} = \left(1 - \frac{V_1}{V_2}\right) \frac{A_2}{A_0} p_a
\]

According to this equation, obtaining a large value of \( \sigma_{\text{eff}} \) requires both small \( V_1 \) after loading, and large \( A_2 \) and \( V_2 \) after unloading. The maximum possible \( \sigma_{\text{eff}} \) is atmospheric pressure, i.e., \( p_a \), which can be achieved when the crater is fully closed after loading, i.e., \( V_1 = 0 \), and recovers to \( A_2 = A_0 \) after unloading.

**Simulation and Experimental Setups**

Axisymmetric finite element models (FEM) for isolated craters were built to simulate the suction force using commercial software, ABAQUS 6.13 (Figure 6). The built-in function ‘FLUID CAVITY’ was implemented to model the ideal gas behavior inside the craters. The specimen/substrate interface was assumed to be frictionless, and the substrate was assumed to be rigid. The material behavior of 30:1 PDMS was characterized as an incompressible neo-Hookean model with Young’s modulus \( E = 141.9 \text{ kPa} \) according to our measurements (Qiao et al., 2017). Experimentally, PDMS with base-to-curing-agent mass ratio equal to 30:1 was cured at 70°C for 12 h to mold specimens with and without craters (see inset in Figure 6E). A small vent hole with diameter of 0.8 mm was drilled in the rigid plate and roughly aligned with the center of the crater. Oil lubricant was applied at the specimen/plate interface. Loading and unloading tests were carried out with the vent hole open during loading and closed during unloading and the pull-off force was measured. A representative experimental loading-unloading curve is given in Figure 6E. The suction force can be readily calculated by subtracting the adhesive force over the contact zone (which is very small and independent of preload) from the measured pull-off force at the pull-off point (Qiao et al., 2017).

**Results**

Spherical-cap-shaped (SCS) craters with various aspect ratios were studied both numerically and experimentally. The schematic of a SCS crater is shown in Figure 5B where the
base radius and height of the craters are labeled as $a$ and $b$, respectively. Figure 6F plots the effective adhesive strength $\sigma_{\text{eff}}$ as a function of preload for two aspect ratios, $b/a = 1$ (blue) and $b/a = 2/3$ (red). Experimental results are plotted as markers and FEM results as solid curves. The following conclusions can be drawn from Figure 6F. First, suction-enabled adhesion intrinsically depends on preload, and generally higher suction force can be achieved by increasing the preload. Second, when the preload is large enough to fully close the crater at Stage 1, further compression will not enhance the suction anymore as shown by the plateau of the two curves. Third, under small preloads, shallower craters generate higher suction forces than deeper ones.

It is also worth noting that experimental and FEM results agree well. Therefore, such a simulation approach can be confidently used for characterizing other cratered specimens, e.g., of different Young’s moduli and crater shapes. A contour plot for the effective adhesive strength as a function of material Young’s modulus $E$ and crater aspect ratio $b/a$ is given in Figure 6G. Results presented in Figure 6G are evaluated at full closure, i.e., $-\Delta p = p_0$ is attained for all scenarios. It is clear that deeper craters with stiffer matrices are capable of producing larger suction provided full closure at Stage 1. Note that it is an opposite conclusion compared with what we discussed in Figure 6F – shallower crater generates higher suction provided the same preload. This can be understood as follows: it is easier for shallower craters to
reach full closure when the preload is small, i.e., a smaller $V_1$, thus achieve a higher suction force according to Eq. 4. However, when the preload is large enough to fully close craters, i.e., $V_1 = 0$, deeper craters will spring back more with a larger projected area, i.e., a large $A_2$, giving rise to a higher suction force. The black curve in Figure 6G represents an iso-strength curve of $\sigma_{\text{eff}} = 80$ kPa. Note that crater shape is limited to a spherical cap in Figure 6G and is varied by choosing different aspect ratios. Other shapes such as spheroidal (Qiao et al., 2017) and cylindrical (Wang et al., 2019) craters have also been investigated but are not discussed in this review.

**Macroscopic, Isolated Craters Underwater**

Similar to suction cups on aquatic cephalopods (Tramacere et al., 2014a; Tramacere et al., 2014b), craters underwater also exhibit much larger adhesive strength than those in air (see Figure 3). This is addressed by considering a cratered specimen resting on a fixed rigid platform, both submerged in liquid at depth $h$ (Figure 5C). The ambient pressure is now

$$p_0 = \rho gh + p_a \quad (5)$$

where $\rho$ is the liquid density and $g$ is the gravitational constant. Assume that the suction force is still generated through a loading-unloading process as illustrated in Figure 6A but in an aquatic environment. Similar to air-filled craters, the pressure inside the crater at States 0 and 1 are assumed to be the same, i.e., $p_1 = p_0$ and the number of liquid molecules remains unchanged during State 2, i.e., $N_1 = N_2$. However, rather than adopting the ideal gas relationship $p_1 V_1 = p_2 V_2$, the liquid inside the crater is assumed to be incompressible, so that $V_1 = V_2$. Both FEM and experiments were conducted to quantify the underwater suction under various preloads (Qiao et al., 2018).

**Zero Liquid Depth**

We begin the discussion by first forming an understanding when $h = 0, p_0 = p_a$. Results for a hemispherical crater in air (blue) and underwater (red) at $h = 0$ are displayed in Figure 7A. It is obvious that craters of both fillings experience an increase in suction with growing preload, whereas the liquid-filled craters exhibit a faster increase due to the stronger constraint on the polymer matrix under volume conservation, i.e., $V_1 = V_2$, compared with the ideal gas relation, $p_1 V_1 = p_2 V_2$. Also, for both cases, FEM results (solid curves) are in excellent agreement with experiment (circular markers) when the preload is smaller than 80 kPa, while the two responses start to deviate as the preload further increases. For the crater in air, such a discrepancy can be successfully resolved by adding an experimentally extracted retraction strain in FEM (green open diamond markers in Figure 7A) because the strain at pull-off is discernibly higher than the strain at full unloading when the specimen is subjected to large preload. For the crater underwater, however, the discrepancy could come from vaporization of the liquid inside the crater when the internal pressure is extremely low or close to zero.

Figure 7B plots the normalized pressure drop obtained by FEM as a function of preload for both air-filled and liquid-filled hemispherical craters. The blue curve clearly shows that the pressure drop of the air-filled crater gradually increases with growing preload and eventually reaches a plateau of $-\Delta p = p_a$ when fully closed, i.e., vacuum, at $\sigma_f = 140$ kPa as highlighted by the vertical dashed magenta line. However, the crater underwater undergoes a faster pressure drop than those in air such that it reaches vacuum (i.e., $-\Delta p = p_a$) prior to the full closure. The intersection of the horizontal dashed black line of $-\Delta p = p_a$ and the curve of $-\Delta p = \sigma_f (\sigma = \rho gh)$ determines a critical preload of $\sigma_f^{\text{cr}} = 80$ kPa. The critical preload suggests a threshold above which the liquid in the crater will vaporize. In the simplest picture, in other words, when $\sigma < \sigma_f^{\text{cr}}$, the liquid inside the crater remains as an incompressible fluid, while when $\sigma \geq \sigma_f^{\text{cr}}$, it should rapidly vaporize even at room temperature. This liquid-to-gas phase transition violates the assumption of an incompressible fluid. Hence the FEM results beyond this point are no longer meaningful. It is also worth pointing out that when the craters are fully closed at $\sigma_f = 140$ kPa, the craters in air or water behave essentially the same as $-\Delta p = p_a$ is realized for both craters if $h = 0$. This explains the fully overlapped experimental results at $\sigma = \sigma_f$ as highlighted by the vertical magenta dashed line in Figure 7A.

![Figure 7](image-url)
Finite Liquid Depth

It is interesting to realize that the red curve in Figure 7B should be applicable to any \( h > 0 \) as long as both the polymer matrix and the liquid inside the crater are incompressible. This is because the hydrostatic pressure term \( \rho gh \) in Eq. 5 has no effect on the deformation of the incompressible matrix. Different \( h \)'s only dictate the preloaded preload for vaporization, \( \sigma_r \), beyond which the FEM results are invalid. This can be understood by looking at the “phase diagram” in Figure 7C where the horizontal axis is the preload \( \sigma \) and the vertical axis is the normalized liquid depth \( \rho gh / \rho_p \). The yellow regimes are non-vaporization zones in which the pressure drop is \( h \)-independent. The red regime is where vaporization is expected to occur. The cyan regime represents complete vacuum. Right before vaporization occurs, the pressure drop simply equals the ambient pressure i.e., \( -\Delta p = \rho_a + \rho gh \). Thus, when \( \sigma > \sigma_r \) no vaporization would take place for any \( h \) as \( p_2 \) is still positive after unloading. When \( \sigma_v \leq \sigma < \sigma_r \), we introduce a function to represent the red curve in Figure 7B, say \( -\Delta p/\rho_p (\sigma) = f(\sigma) \) for \( 0 < \sigma < \sigma_r \). Then \( \sigma_r \) can be obtained by solving \( f(\sigma_r) = 1 + \rho gh/\rho_p \) for a given liquid depth \( h \). If \( \rho gh/\rho_p \geq f(\sigma) - 1 \), the liquid still remains incompressible fluid; otherwise, the liquid vaporizes. When \( \sigma \geq \sigma_r \), the hemispherical crater attains full closure with complete vacuum, leading to \( -\Delta p = \rho_a + \rho gh \). Therefore, when the crater is fully closed, craters in deeper water will produce a higher suction force.

In summary, craters underwater, on the one hand, are capable of producing higher suction force than those in air due to the volume constraints; on the other hand, vaporization may take place, which undermines the suction.

Isolated Craters in Air With Surface Tension

Up to this point, we neglected polymer surface tension, which may become important for small craters on a soft matrix. The significance of surface tension can be realized by examining molded polymer surfaces. A commonly adopted fabrication method for cratered surfaces is molding polymers out of a negative template, which are usually created using either micromachining (Choi et al., 2016) or colloidal lithography (Chang et al., 2014; Akerboom et al., 2015). Such methods work well for relatively stiff polymers such as UV resin (\( E \sim 20 \) MPa) (Chang et al., 2014) or even 10:1 PDMS (\( E \sim 100 \) kPa) (Akerboom et al., 2015). However, molding microscale craters on soft polymer sheet, e.g. 40:1 PDMS (\( E \sim 100 \) kPa) (Choi et al., 2016), resulted in much smaller crater size compared with the domes on the template after demolding. This can be attributed to the so-called elasto-capillarity effects in which the polymer surface tension is a driving force for diminishing the sizes of craters when the crater length scale is comparable to the elasto-capillary length defined as \( L_c = \gamma / E \) where \( \gamma \) is the surface tension of the polymer (Roman and Bico, 2010; Liu and Feng, 2012; Bico et al., 2018). To attain the desired crater shape, adding a stiffer reinforcing layer inside the crater has proven to be effective. The schematic of a reinforced crater is depicted in Figure 5D. The thickness and Young’s modulus of the reinforcing layer are denoted as \( t \) and \( E_2 \), respectively. The effect of surface tension is equivalently interpreted as a normal traction \( t_n = \kappa \gamma \) on the inner surface of the crater (shown by blue arrows), where \( \kappa \) is the sum of the two principal curvatures. To quantitatively characterize the effects of surface tension and reinforcing shell on the suction force generated by those craters, a demolding step was added prior to loading and unloading (Wang et al., 2017b). Therefore, the entire process of suction generation becomes demolding, loading, and unloading steps.

We investigated the surface tension effect by considering isolated hemi-spherical craters with reinforcements parameterized by their thickness and Young’s modulus. A contour plot for the effective adhesive strength \( \sigma_{eff} \) as a function of normalized thickness \( t/a \) and modulus \( E_2/E \) is presented in Figure 8. It clearly suggests that there is an optimal combined range of \( t/a \) and \( E_2/E \) to generate large suction. When the reinforcing shell is too thin or too soft, it is simply too weak to resist the surface tension effect. When the reinforcing shell is too thick or too stiff, it preserves the crater shape after demolding, but it also prevents the crater from deformation during loading. As a result, a large \( V_1 \) leads to small \( \sigma_{eff} \) according to Eq. 4. The effect of strong and weak reinforcing shells is best visualized by the supplementary videos of (Wang et al., 2017b). Therefore, the optimal choice of \( t/a \) and \( E_2/E \) for large \( \sigma_{eff} \) lies in the domain \( E_2/E \in (20, 50) \) and \( t/a \in (0.025, 0.15) \) as shown by the red regime in Figure 8.

In fact, adding a reinforcing layer may even enhance the suction force for craters with negligible surface tension effects. This is because a thin reinforcing layer can assist the crater to spring back upon unloading, while leaving the overall structural stiffness almost unchanged (Qiao et al., 2017). Surprisingly, a reinforced SCS crater with aspect ratio \( b/a = 0.85 \) shows a maximum \( \sigma_{eff} = 1.2 \rho_a \), which is higher than the atmospheric pressure because \( A_2 > A_0 \) is achieved due to wrinkling instabilities on the crater inner surface. Such a wrinkling instability is because of the stiffness mismatch between the reinforcing layer and the polymer matrix when being compressed. Although the wrinkled surface may enlarge the projected area of the crater after unloading, it is not easy to control, thus it is not within the
and plotted as a function of $\phi$ in Figure 9, where red represents HPA and blue SPA. Shaded bars correspond to a relatively small preload of 50 kPa and solid ones for a large preload of 120 kPa. Note that results presented in Figure 9 are for SCS crater arrays with crater aspect ratio of $b/a = 2/3$ and matrix Young’s modulus of $E = 141.9$ kPa. The aspect ratio $b/a = 2/3$ is intentionally selected since the initial volume of a cylinder-shaped crater with $b/a = 2/3$ is identical to that of a SCS crater with aspect ratio $b/a = 1$. Figure 9 clearly shows that under a small preload of 50 kPa (shaded bars), the total suction force increases with growing $\phi$. The reason is twofold. First, crater arrays with large $\phi$ tend to have lower structural stiffness, leading to a larger deformation under the same preload, i.e., small $V_i$ produces large $F$ according to Eq. 3. Second, large $\phi$ means more craters are contributing to $F_t$. However, under a large preload, e.g. 120 kPa, the total suction force exhibits a non-monotonic dependence on $\phi$ and the maximum is achieved when $\phi \in (54.5\%, 64.9\%)$. This is because, when $\sigma = 120$ kPa, craters are fully closed after loading and craters with large $\phi$ may not recover after unloading due to low structural stiffness. Therefore, one can conclude that the interaction between craters may impair the overall adhesive strength of the polymer sheet under large preload. This non-monotonic trend is essentially similar to the experimental observation reported by Nanni et al., (2015). It is also worth noting that the difference between SPA and HPA is not significant for the same $\phi$ according to Figure 9.

**SUMMARY AND OUTLOOKS**

Progress in the development of reversible SDAs has been rapid. So far, micro-pillared surfaces have been regarded as the primary option. In this review, we focus on cratered surfaces as an alternative, with the emphasis on our recent mechanistic understandings of suction effects of craters arrays. Through theoretical analysis, numerical simulation, and experimental measurements, the effect of polymer matrix stiffness, crater shape, air/water ambient environments, elasto-capillarity, crater area fraction, and pattern of crater arrays are systematically studied.

However, there is a major limitation in the present modeling framework, related to the simplified loading-unloading process for realizing suction effects as illustrated by Figures 6A–C. First, the substrate is assumed to be rigid and the crater/substrate interface is assumed to be frictionless. Deformable substrates (e.g., skin) and interfacial friction may prevent the venting of air/liquid during loading, and thus diminish the suction effects. Second, effective venting during loading and tight sealing during unloading and beyond, play crucial roles in strong and sustained adhesion, which should be a future direction for the design of cratered surfaces. Moreover, existing models cannot explain the experimental findings that even with exactly the same crater shape, areal fraction, and pattern, crater arrays may still exhibit different adhesive strength when the size of the crater varies (Baik et al., 2017). This size effect (not pertaining to elasto-capillarity) remains unresolved. In addition to passive cratered

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**FIGURE 9** | Normalized total suction force $F_t/(p_0A_t)$ as a function of crater area fraction $\phi$ for crater arrays with fixed crater shape (SCS with $b/a = 2/3$) and matrix Young’s modulus $E = 141.9$ kPa. Red represents hexagonal pattern arrays (HPA) and blue for square-patterned arrays (SPA). Shaded bars are for small preload case ($\sigma = 50$ kPa) and solid bars are for large preload case ($\sigma = 120$ kPa). [reprinted with permission from (Wang et al., 2019)]

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Isolated craters discussed in the previous section represent cratered surfaces with very small crater areal fraction, i.e., $\phi \to 0$, such that the interaction between craters is negligible. When craters are closely packed, the behavior of each crater may be affected by its neighboring craters. Actually, experimental evidence has shown that the crater areal fraction is another crucial geometric parameter that governs the adhesive strength. For example, Nanni et al. measured the adhesion of elastomeric surfaces structured with micro-dimples of different areal fractions (Figure 1K) (Nanni et al., 2015). They observed that the adhesive strength exhibits a non-monotonic dependence on the crater areal fraction. In addition to the areal fraction, different patterns of crater arrays have been reported such as hexagonal (Figures 1I,J) and square (Figure 1K). In this section, we briefly discuss our recent progress in simulating the suction effects in hexagonal-patterned arrays (HPA) and square-patterned arrays (SPA) with various $\phi$’s.

Consider two polymer sheets with the same total base plane area of $A_t$. Then the crater area fraction is defined as $\phi = A_0/A_t$. One is engineered with SPA (Figure 5E) and the other with HPA (Figure 5F). Different from simulations for isolated craters where axisymmetric models were used, simulations for crater arrays demand three-dimensional models and periodic boundary conditions. The suction force is still generated via the loading-unloading process as illustrated in Figure 6A. The normalized total suction force of the polymer sheet ($F_t/(p_0A_t)$) is obtained.
surfaces, reversible suction-based adhesion can also be enabled by active materials in response to external stimuli, such as temperature (Lee et al., 2016) or magnetic field (Yu et al., 2018; Linghu et al., 2019), which have not been systematically modeled.

Another potential direction for future work is to employ cohesive zone modeling in the analysis of the performance of cratered surfaces. This would allow for the intrinsic interactions (normal and shear) between contacting surfaces to be accounted for. In addition, such an approach would allow the strength and adhesion energy of different configurations to be compared, rather than relying solely on strength comparisons, which is the current practice. There may be performance regimes that are strength controlled and others that are dominated by energy considerations. This could result in the development of a richer parameter space for exploring the performance of cratered surfaces.

In summary, cratered surfaces represent a new class of SDAs with strong adhesion, remarkable reusability, and superior biocompatibility. After about 6 years of studies, research into the performance of cratered SDAs are still in its infancy. Preliminary understandings summarized in this review were achieved under many simplifications and assumptions. The mechanics and realization of practically useful cratered SDAs are still elusive with wide open opportunities. Our understanding of the underlying mechanisms, exploration of optimal design, and employment of active materials require the collective wisdom of both mechanical engineers and material scientists.

**AUTHOR CONTRIBUTIONS**

LW, K-HH, GR, KL, and NL participated fully to the data acquisition, analysis, and paper writing. All authors contributed to the article and approved the submitted version.

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**Conflict of Interest:** The authors declare that the research was conducted in the absence of any commercial or financial relationships that could be construed as a potential conflict of interest.

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