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$t_1$-Noise eliminated dipolar heteronuclear multiple-quantum coherence solid-state NMR spectroscopy†

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Heteronuclear correlation (HETCOR) spectroscopy is one of the key tools in the arsenal of the solid-state NMR spectroscopist to probe chemical and spatial proximities between two different nuclei and enhance spectral resolution. Dipolar heteronuclear multiple-quantum coherence (D-HMQC) is a powerful technique that can be potentially utilized to obtain $^1$H detected 2D HETCOR solid-state NMR spectra of any NMR active nucleus. A long-standing problem in $^1$H detected D-HMQC solid-state NMR experiments is the presence of $t_1$-noise which reduces sensitivity and impedes spectral interpretation. In this contribution, we describe novel pulse sequences, termed $t_1$-noise eliminated (TONE) D-HMQC, that minimize $t_1$-noise and can provide higher sensitivity and resolution than conventional D-HMQC. Monte-Carlo and numerical simulations confirm that $t_1$-noise in conventional D-HMQC primarily occurs because random MAS frequency fluctuations cause variations in the NMR signal amplitude from scan to scan, leading to imperfect cancellation of uncorrelated signals by phase cycling. The TONE D-HMQC sequence uses $^1$H π-pulses to refocus the evolution of $^1$H CSA across each SR4 $^1$H recoupling block, improving the stability of the pulse sequence to random MAS frequency fluctuations. The $^1$H refocusing pulses also restore the orthogonality of in-phase and anti-phase magnetization for all crystallite orientations at the end of each recoupling block, enabling the use of 90° flip-back or LG spin-lock trim pulses to reduce the intensity of uncorrelated signals. We demonstrate the application of these methods to acquire $^1$H detected 2D $^1$H($^{35}$Cl) and $^1$H($^{13}$C) HETCOR spectra of histidine-HCl-H$_2$O with reduced $t_1$-noise. To show generality, we also apply these methods to obtain 2D $^2$H($^{17}$O) spectra of 20%-$^{17}$O fmoc-alanine and for the first time at natural abundance, 2D $^4$H($^{25}$Mg) HETCOR spectra of magnesium hydroxide. The TONE D-HMQC sequences are also used to probe $^1$H–$^{25}$Mg and $^1$H–$^{27}$Al proximities in Mg–Al layered double hydroxides and confirm the even mixing of Mg and Al in these materials.

**Introduction**

Solid-state nuclear magnetic resonance (SSNMR) spectroscopy is a versatile tool for the structural characterization of inorganic materials and biomolecules. Sensitivity and resolution enhancement techniques such as fast magic angle spinning (MAS), proton detection and dynamic nuclear polarization (DNP) have enabled the routine implementation of advanced multidimensional SSNMR experiments. Probing heteronuclear proximities using multidimensional heteronuclear correlation (HETCOR) experiments or dipolar coupling (D) measurements between nuclei is arguably one of the key strengths of SSNMR. HETCOR SSNMR experiments typically use cross polarization (CP)$^{17}$ to transfer polarization between pairs of nuclei that are dipolar coupled. Unfortunately, barring a few favorable examples, CP MAS is non-trivial and rarely efficient for quadrupolar nuclei$^{18,19}$ and about 75% of the NMR-active isotopes in the periodic table are quadrupolar.$^{18}$ Heteronuclear multiple-quantum coherence (HMQC) is a fundamental pulse sequence that is widely used in solution NMR spectroscopy.$^{20}$ HMQC is a valuable experiment for SSNMR spectroscopy because in principle it can be applied to indirectly observe any NMR active nucleus that is coupled to a “spy” nucleus, usually $^1$H, $^{13}$C or $^{31}$P. Many HMQC SSNMR experiments using heteronuclear scalar (J-) or dipolar (D-) interactions for coherence transfer have been described.$^{21-28}$ Delevoe and co-workers recently demonstrated that $^{27}$Al($^1$H) D-HMQC is more
robust and efficient in comparison to CP for the surface characterization of \(\gamma\)-alumina related catalysts.\(^{29}\) We recently used D-HMQC to indirectly observe half-integer quadrupolar nuclei and spin-1/2 nuclei with large chemical shift anisotropy (CSA).\(^{30,31}\) More recently, we have implemented frequency-selective HMQC schemes that offer enhanced sensitivity by reducing recycle delays.\(^{32}\) Fast MAS, proton-detected D-HMQC experiments are most commonly performed with the SR\(^{1/2}\) recoupling pulse sequence\(^{33}\) as it offers a heteronuclear dipolar coupling scaling factor of ca. 0.25, effective \(^1\)H homonuclear decoupling, tolerance to rf inhomogeneity and is not dipolar truncated. However, \(t_1\)-noise\(^{34}\) often plagues \(^1\)H-detected 2D D-HMQC SSNMR spectra partly due to the high sensitivity of the recoupling sequence to rotor synchronization.\(^{27,28,30,31}\) Recently, random signal fluctuations observed in \(^1\)H\(^{[14]N}\) RESPOR experiments have also been attributed to MAS instability.\(^{15}\) Generally, the strategies such as spin-lock trim pulses,\(^{36}\) BIRD filters\(^{37,38}\) or pulsed field gradients\(^{39}\) often used to suppress \(t_1\)-noise in HMQC solution NMR experiments are either incompatible with existing pulse sequences, or simply cannot be implemented with current SSNMR probes. A number of \(t_1\) sampling and processing techniques have been proposed to reduce \(t_1\)-noise in solution NMR experiments.\(^{40-44}\) However, some of these rely on the fact that \(t_1\)-noise in solution NMR experiments often arises from slow signal intensity modulations; as such these methods are ineffective in solids where the \(t_1\)-noise is largely time-independent. Perras and Pruski pointed out that since \(t_1\)-noise scales linearly with the signal amplitude, relaxation delays in D-HMQC SSNMR experiments should be set to values far shorter than the \(1.3 \times T_1\) value that is optimal in one-dimensional spectroscopy.\(^{45}\) Robertson et al. demonstrated the use of selective saturation pulses to reduce \(t_1\)-noise in fast MAS \(^1\)H SSNMR experiments.\(^{46}\)

One way to reduce \(t_1\)-noise is to change the recoupling sequence. For example, \(\gamma\)-encoded recoupling sequences such as rotary resonance recoupling (\(R^2\)) and symmetry based \(R\)-sequences are robust with respect to MAS fluctuations.\(^{47}\) However, the \(\gamma\)-encoded sequences are sensitive to rf inhomogeneity and suffer from dipolar truncation. As such, they typically offer lower efficiency than SR\(^{1}\) and adiabatic zero-quantum recoupling methods.\(^{48,49}\) Alternatively, in the TRAPDOR-HMQC (T-HMQC) experiment presented by Carravetta and co-workers,\(^{50}\) long duration, high power pulses are used for both heteronuclear dipolar recoupling and excitation of the indirectly detected nucleus. T-HMQC has recently been shown to provide more sensitivity than D-HMQC with SR\(^{1}\) applied on the \(\chi\) channel for \(^1\)H\(^{[10]N}\) experiments.\(^{51}\) Part of the sensitivity gains with T-HMQC arise from a lessened \(t_1\)-noise, likely because the signal intensity is insensitive to MAS frequency variations.\(^{51}\) However, T-HMQC requires large \(B_1\) fields for long recoupling durations. T-HMQC also results in simultaneous recoupling of the central (CT) and satellite transitions (ST) for half-integer quadrupolar nuclei.\(^{52}\) Further, only the irradiated peak will be excited, preventing detection of anisotropic sideband manifolds with T-HMQC.\(^{51}\)

In this contribution, we present a family of novel pulse sequences called \(t_1\)-noise eliminated D-HMQC (TONE D-HMQC).

As shown below, MAS instability is the leading cause of \(t_1\)-noise for fast MAS \(^1\)H\(^{[X]}\) D-HMQC experiments that use SR\(^{1}\) recoupling. TONE D-HMQC sequences minimize \(t_1\)-noise by refocusing \(^1\)H CSA after each recoupling block to reduce the variation of the NMR signal intensity with MAS frequency fluctuations and by reducing (saturating) signals from uncorrelated magnetization. The TONE D-HMQC sequences are shown to provide enhanced sensitivity for proton detected D-HMQC experiments with a wide range of spin-1/2 and half-integer quadrupolar nuclei such as \(^{13}\)C, \(^{17}\)O, \(^{25}\)Mg, \(^{27}\)Al and \(^{35}\)Cl.

**Results and discussion**

Henceforth, we will refer to the directly detected \(^1\)H spins with \(I\) angular momentum operators while the indirectly-detected X spins will be denoted using \(S\) operators.\(^{53}\) Fig. 1A shows the conventional D-HMQC pulse sequence where the \(^1\)H magnetization is excited using a \(\pi/2\) pulse to generate in-phase \(x\) transverse magnetization \((I_x)\). Application of SR\(^{1}\) dipolar recoupling causes evolution of heteronuclear dipolar couplings leading to creation of some anti-phase \(2I_xS_x\) magnetization. However, \(^1\)H CSA will also simultaneously evolve and will convert \(2I_xS_x\) to a combination of \(2I_zS_z\) and \(2I_xS_y\) while \(I_x\) will evolve to a combination of \(I_y\) and \(I_x\). The extent of this mixing depends upon the orientation of the CS tensor and will vary for the different crystallite orientations in a powder. The \(\pi/2\) pulse on the \(X\) channel converts the anti-phase coherence, \(2I_xS_y\) and \(2I_xS_y\), into heteronuclear multiple-quantum coherence, \(2I_xS_y\) and \(2I_xS_y\), respectively. The evolution period following the \(X\) channel \(\pi/2\) pulse will encode chemical shifts and quadrupolar interactions of the \(S\) spin. The multiple quantum coherence is then reconverted back to a single quantum anti-phase coherence by the second \(\pi/2\) pulse on the \(X\) channel. The second recoupling block then converts the anti-phase magnetization into an observable in-phase coherence. The central \(\pi\) pulse on the \(^1\)H channel serves to refocus isotropic \(^1\)H chemical shifts and importantly, the \(^1\)H CSA which is also reintroduced by heteronuclear dipolar recoupling sequences.\(^{54}\) However, the \(^1\)H CSA is only effectively refocused if the dipolar recoupling sequence and central pulse are properly rotor-synchronized.

The desired HMQC signal arises from the fraction of \(^1\)H magnetization that is converted to anti-phase coherence, multiple quantum coherence, back to anti-phase and then ultimately reconverted to in-phase magnetization for detection. The intensity of the desired HMQC signal is denoted as correlated signal intensity \((S_{\text{corr}})\). The remaining \(^1\)H magnetization that stays as in-phase/single spin operators throughout the HMQC sequence is responsible for the uncorrelated magnetization/NMR signal, denoted \(S_{\text{uncorr}}\). Experimentally, the desired HMQC signal is retained, and signals from uncorrelated magnetization are eliminated, by synchronous 180° phase alternation of the receiver and one of the X-channel \(\pi/2\) pulses on subsequent scans. As shown below, random fluctuations of the MAS frequency can cause \(S_{\text{uncorr}}\) to vary from scan to scan, leading
to the imperfect cancellation of the uncorrelated signal by phase cycling and substantial $t_1$-noise when the ratio $S_{\text{corr}}/S_{\text{uncorr}}$ is small. $S_{\text{corr}}/S_{\text{uncorr}}$ will be small in cases where the X spin natural abundance is low and when the $^1\text{H}$ and X spins are weakly coupled. Here, weakly coupled means that the inverse of the scalar coupling or scaled dipolar coupling that evolves in the HMQC pulse sequence is larger than the $^1\text{H}$ refocused transverse relaxation time $T_2^*$. 

Fig. 1B–E show redesigned D-HMQC sequences that reduce $t_1$-noise by improving the robustness of the pulse sequence to MAS frequency variations and by reducing the magnitude of uncorrelated $^1\text{H}$ magnetization with flip-back or saturation pulses. TONE D-HMQC-1 features simultaneous, rotor-synchronized $\pi$ pulses on the $^1\text{H}$ and X channel that break each recoupling block into two symmetric parts (Fig. 1B). The simultaneous $^1\text{H}$ and X $\pi$ pulses sandwiched within each dipolar recoupling block permit evolution of the heteronuclear dipolar coupling while refocusing the $^1\text{H}$ CSA across each recoupling block. Refocusing the $^1\text{H}$ CSA restores the orthogonality of the correlated, anti-phase ($2I_xS_z$) and uncorrelated, in-phase $^1\text{H}$ magnetization ($I_y$) for all crystallite orientations. As discussed below, refocusing the $^1\text{H}$ CSA across each recoupling block also improves the robustness of the pulse sequence towards MAS frequency fluctuations. Analogous ideas but in different contexts have been reported previously; for instance, $\pi$ pulses have been used to refocus the residual effects of dipolar coupling in continuous wave decoupling sequences and the CSA contributions in $T_{1p}$ measurements, whereas the perfect echo sequences in solution NMR use $\pi/2$ pulses to refocus anti-phase components. Brinkmann et al. have proposed the use of dual channel symmetry-based recoupling sequences to selectively recouple heteronuclear dipolar interactions while suppressing CSA terms.

TONE D-HMQC-2 is similar to TONE D-HMQC-1, except a $\pi/2_{xy}$ pulse is appended at the end of the first refocused dipolar recoupling block (Fig. 1C). The $\pi/2_{xy}$ pulse acts as a flip-back pulse for uncorrelated, in-phase $I_y$ magnetization, transforming it to longitudinal magnetization ($\mp I_y$). This flip-back pulse will reduce the magnitude of $S_{\text{uncorr}}$, helping to suppress the $t_1$-noise by increasing the ratio $S_{\text{corr}}/S_{\text{uncorr}}$. The TONE D-HMQC-3 sequence replaces the flip-back pulse with a long duration (~1 ms) Lee-Goldberg (LG) trim pulse. The LG trim pulse spin-locks the correlated $^1\text{H}$ magnetization, while the uncorrelated magnetization rotates around the tilted effective $B_0$ field of the LG spin-lock pulse, resulting in dephasing due to rf inhomogeneity (Fig. 1D). The LG condition suppresses $^1\text{H}$ spin-diffusion of the spin-locked, correlated magnetization. Suppression of $^1\text{H}$ spin diffusion is critical to ensure the anti-phase magnetization can be reconverted to in-phase magnetization in the second part of the sequence. We have previously identified low- and high-rf field LG conditions compatible with fast MAS frequencies.

Finally, in TONE D-HMQC-4 the LG spin-lock/trim pulse is applied symmetrically about the central $^1\text{H}$ $\pi$ pulse for the entire duration of the indirect evolution period ($t_1$) (Fig. 1E). The LG pulses dephase the uncorrelated magnetization while spin-locking the correlated magnetization throughout the duration of the $t_1$ period. We have previously applied constant-time D-HMQC to enable arbitrary spectral widths, however, the constant echo duration in the central part of the sequence causes reduced sensitivity because of $^1\text{H}$ transverse relaxation. The TONE D-HMQC-4 sequence offers the improved spectral resolution associated with a constant-time experiment and allows arbitrary indirect spectral widths, but reduces relaxation losses since the relaxation is determined by the $^1\text{H}$ spin-diffusion rate under the LG pulse, rather than $^1\text{H}$ $T_2^*$ as occurs in the other HMQC sequences. Note that TONE D-HMQC-4 can also be performed in an incremented fashion by eliminating uncorrelated signals with LG spin-lock or flip-back pulses added prior to the $t_1$-period (discussed below; Fig. S7, ESI†).
Various $^1$H homonuclear decoupling schemes have previously been implemented into D-HMQC and D-HSQC (dipolar heteronuclear single quantum coherence) pulse sequences to improve resolution.$^{60,61}$

Numerical SIMPSON$^{62-64}$ and Monte Carlo simulations were used to demonstrate how random MAS frequency fluctuations cause $t_1$-noise and understand how the TONE family of pulse sequences can reduce $t_1$-noise (Fig. 2, see the ESI† for additional details and the input files). First, SIMPSON simulations of a $^1$H–$^{13}$C spin system were used to determine the MAS frequency dependence of 1D D-HMQC and TONE D-HMQC-2 signal intensities at a magnetic field of 9.4 T. Profiles showing the signal intensity as a function of the deviation from the target MAS frequency ($\Delta_{\text{MAS}}$) were calculated for both the correlated magnetization (HMQC signal, Fig. 2A and B) and uncorrelated magnetization (background signals, Fig. 2C and D). For simplicity we compare standard D-HMQC and TONE D-HMQC-2 in this section as the analysis will be similar for comparison of D-HMQC and any of the TONE sequences. The SIMPSON simulations were performed with $^1$H reduced anisotropy ($\delta_{\text{aniso}}$) values of 1, 10, 17 and 34 ppm to illustrate the contribution of improper refocusing of the $^1$H CSA to $t_1$-noise. For reference, a plane-wave DFT GIPAW calculation predicts that the ammonium $^1$H NMR signal at 17.2 ppm in histidine has a reduced anisotropy of 17 ppm. Doubling the static Zeeman field from 9.4 T to 18.8 T would double the size of the CSA in units of Hz, hence, calculations were also performed with a $^1$H $\delta_{\text{aniso}}$ of 34 ppm to mimic the effects of higher static magnetic fields. The simulations were performed with a $^1$H–$^{13}$C spin system and a heteronuclear dipolar coupling of 2 kHz. The total recoupling time was separately optimized in SIMPSON and set to a total duration of 72 rotor cycles (1.44 ms) in all simulations. In these simulations the recoupling pulse widths, timings and echo durations were calculated and fixed based upon an MAS frequency of 50 kHz, then the signal intensities were calculated in SIMPSON for different input MAS frequencies.

Fig. 2A–D show the variation of the correlated and uncorrelated D-HMQC and TONE D-HMQC-2 signal intensities as a function of the deviation from the MAS frequency ($\Delta_{\text{MAS}}$) for D-HMQC and TONE D-HMQC-2. Profiles are shown for $^1$H CSA values of 1 ppm, 10 ppm, 17 ppm and 34 ppm; the indicated CSA values correspond to reduced anisotropy ($\delta_{\text{aniso}}$) in the Haeberlen convention. (E and F) Monte Carlo simulations of the signal-to-noise ratio (SNR) of the indirect dimension of a HMQC spectrum calculated for different uncertainties in the MAS frequency ($\sigma_{\text{MAS}}$). (G) The relative gain in SNR provided by TONE D-HMQC-2 as compared to D-HMQC as a function of $\sigma_{\text{MAS}}$ for four different $^1$H $\delta_{\text{aniso}}$ values. In (B, D, F and G) the tip angle of the flip-back pulse was 75°. (H) The predicted effect of the flip-back pulse tip angle on the SNR of TONE D-HMQC-2. The $^1$H CSA was fixed at 17 ppm. See text for details on all calculations and simulations.
uncorrelated TONE D-HMQC-2 signals are broader than the corresponding profiles for D-HMQC (when comparing profiles with the same \( \delta_{\text{aniso}} \)), illustrating the improved tolerance of TONE D-HMQC-2 to MAS frequency variations. Additionally, for each value of \( \delta_{\text{aniso}} \), the profiles for the uncorrelated signal are slightly sharper than the corresponding profile for the correlated signal. This observation suggests that experimental random fluctuations of MAS frequency could cause substantial \( t_1 \)-noise because uncorrelated signals will be imperfectly cancelled by phase cycling. Therefore, in the absence of extremely stable MAS frequencies (variations of 1–2 Hz), reducing the magnitude of the uncorrelated signal is critical to reducing \( t_1 \)-noise.

A Monte-Carlo style code built in MATLAB was used to simulate the variation of \( t_1 \)-noise in 2D HMQC experiments with the different pulse sequences (Fig. 2E–H). The code performs the following steps: First, a Gaussian probability function is used to randomize the MAS frequency for each scan. Then, the scaling factors for the correlated and uncorrelated signals are calculated using the randomly generated MAS frequency and the intensity-MAS frequency profiles obtained from SIMPSON (Fig. 2A–D). The scaling factors are then used to calculate the correlated and uncorrelated time domain signal intensities for each scan followed by the calculation of the final time domain intensity for each \( t_1 \)-point by summing across 16 scans. This procedure was repeated for 500 \( t_1 \)-points with \( \Delta t_1 = 10 \mu s \) and the resulting noised-FID was subject to Fourier transformation and signal-to-noise ratio (SNR) measurements. A more detailed description of the MATLAB code with examples is provided with the ESL.

Fig. 2E shows a plot of the calculated SNR of the indirect dimension as a function of \( \sigma_{\text{MAS}} \) for standard D-HMQC with different \( \delta_{\text{aniso}} \) values. There are two clear and expected trends: the SNR worsens as \( \sigma_{\text{MAS}} \) increases and as \( \delta_{\text{aniso}} \) increases. An increase in \( \sigma_{\text{MAS}} \) corresponds to less stable MAS, and as illustrated in Fig. 2A and C, the amplitude of correlated and uncorrelated signals show greater variation with MAS frequency as \( \delta_{\text{aniso}} \) increases. On the other hand, in all cases TONE D-HMQC-2 is more robust to changes in \( \sigma_{\text{MAS}} \) (Fig. 2F). For instance, with \( \delta_{\text{aniso}} \) of 17 ppm and \( \sigma_{\text{MAS}} \) of 4 Hz, the SNR with D-HMQC is calculated to be 46 whereas the SNR with TONE D-HMQC-2 is calculated to be 94, which corresponds to a factor 2 gain in SNR. Furthermore, taking into consideration the reference SNR was 95, the calculations suggest that TONE D-HMQC-2 has effectively eliminated the \( t_1 \)-noise arising from MAS instability. The predicted gain in SNR with TONE D-HMQC-2 is plotted in Fig. 2G. There is no appreciable gain in SNR with TONE when \( \delta_{\text{aniso}} \) is 1 ppm or when \( \sigma_{\text{MAS}} \) is close to zero. However, the SNR with the TONE sequence is predicted to increase by a factor 2–8 when \( \delta_{\text{aniso}} \) is 17 or 34 ppm and when \( \sigma_{\text{MAS}} > 4 \) Hz. Finally, Fig. 2H shows the effects of varying the tip angle of the flip-back pulse in TONE D-HMQC-2 for a fixed \( \delta_{\text{aniso}} \) of 17 ppm. Tip angles of less than 90° were considered to illustrate the effects of rf inhomogeneity. As the pulse tip-angle is reduced from 90° to 60° the SNR reduces slightly due to an imperfect flip-back of the uncorrelated magnetization. In summary, the simulations demonstrate that TONE D-HMQC reduces \( t_1 \)-noise by improving the robustness of the sequences to MAS fluctuations and suppressing undesired uncorrelated \( ^1H \) NMR signals. The similarity of the predicted and experimentally observed sensitivity gains for \(^1H\)\(^{35}Cl\) D-HMQC experiments validates the model of D-HMQC \( t_1 \)-noise arising from the random variation of signal intensities because of MAS frequency fluctuations (vide infra).

The TONE D-HMQC pulse sequences were experimentally tested for \(^1H \) detection of a variety of NMR active nuclei including \(^{35}Cl\), \(^{25}Mg\), \(^{13}C\) and \(^{17}O\). Fig. 3 shows experimental data acquired with the different D-HMQC pulse sequences on...
histidine hydrochloride monohydrate, denoted as histidine, at 9.4 T and 50 kHz MAS frequency. For these experiments $s_{\text{MAS}}$ was estimated to be 2 Hz based upon analysis of the MAS frequency log output by the spectrometer (Fig. S1, ES†), but the true experimental $s_{\text{MAS}}$ values are likely larger considering that spectrometer outputs time-averaged MAS frequencies.35

1D $^1$H/$^{35}$Cl D-HMQC spectra (from the first $t_1$-increment of the 2D experiment) obtained with the different pulse sequences are shown in Fig. 3A–E. The relative intensity of the $^1$H signals at 9.0 ppm and 12.7 ppm are indicated. The $^{35}$Cl spectra shown in Fig. 3F–J were extracted from the most intense column (the ammonium signal at $\delta_{\text{iso}} = 9.0$ ppm) of the corresponding 2D D-HMQC spectra (Fig. S2, ES†). TONE D-HMQC-1 has $^1$H signal intensities that are reduced by ca. 35–45% as compared to D-HMQC (Fig. 3B). 1D $^1$H NMR spectra acquired with recoupled echo pulse sequences show minimal losses due to the incorporation of CSA refocusing $\pi$ pulses on the $^1$H channel (Fig. S3, ES†). Therefore, the significant reduction in $^1$H intensity observed with TONE D-HMQC-1 must be due to the efficiency of the CT-selective $\pi$ inversion pulses (Fig. 3B). Indeed, a reduction in intensity due to imperfect CT-selective inversion pulses is also predicted by SIMPSON simulations (Fig. S4, ES†). However, despite the reduction in the direct dimension signal intensity, the sensitivity ($S = SNR/\sqrt{t}$) of the $^{35}$Cl trace increases from 1.7 to 3.1 min$^{-1/2}$, corresponding to a gain of 1.8 (3.1/1.7 min$^{-1/2}$), due to reduction of $t_1$-noise (Fig. 3G). This gain demonstrates the efficacy of refocusing the $^1$H CSA across each recoupling block.

Surprisingly the $^1$H signal intensity given with TONE D-HMQC-2 was higher by ca. 16–19% in comparison to the conventional D-HMQC sequence (Fig. 3C). This result is unexpected because additional pulses typically reduce the efficiency of SSNMR experiments. With the addition of the $\pi/2$ flip-back pulse, the symmetry of the TONE D-HMQC-2 pulse sequence is reminiscent of the perfect echo pulse sequences,27 which are known to refocus homonuclear $^1$H couplings. 2-Spin $^1$H–$^1$H SIMPSON numerical simulations and experiments with dipolar recoupled perfect echo pulse sequences show increased $^1$H signal intensity, suggesting that the introduction of purge pulses ($\pi/2$ or LG spin-lock) may refocus $^1$H homonuclear dipolar couplings (Fig. S3, ES†). In summary, the intensity lost in TONE D-HMQC-1 due to the inefficiency of the inversion $\pi$ pulses on the $^{35}$Cl channel is compensated by the intensity gained from the partial refocusing of the $^1$H homonuclear dipolar couplings by the purge pulse, resulting in an overall net gain in signal with TONE D-HMQC-2. The TONE D-HMQC-2 $^{35}$Cl trace shows a similar intensity ($I = 0.94$) in comparison to the conventional D-HMQC spectrum, but the $^{35}$Cl sensitivity is 2.1 times better with TONE D-HMQC-2. On comparing TONE D-HMQC-2 with TONE D-HMQC-1, we note that the intensity of the $^{35}$Cl trace improves by a factor 1.74 (0.94/0.54), while there is only a modest gain in $^{35}$Cl sensitivity by a factor 1.2 (3.6 min$^{-1/2}$/3.1 min$^{-1/2}$) (Fig. 3H). As $t_1$-noise is multiplicative, meaning it is proportional to the signal intensity, the $t_1$-noise is likely also higher in the case of TONE D-HMQC-2 and this leads to a smaller gain in sensitivity with respect to TONE

D-HMQC-1.35 A slight improvement in sensitivity could possibly be obtained with TONE D-HMQC-2 by removing presaturation pulses and adjusting the phase of the flip-back pulse to always return uncorrelated magnetization to $+I_c$. Preserving the uncorrelated magnetization could result in reduced optimal recycle delays as is observed with flip-back CE66 or FS-HMQC sequences.32

Finally, we observe that TONE D-HMQC-4 with total LG spin-lock pulse duration of 1315.7 μs (33 rotor cycles) shows a reduction in $^1$H signal by only ca. 6% as compared to D-HMQC (Fig. 3E). On comparing 1D $^1$H/$^{35}$Cl TONE D-HMQC-3 and TONE D-HMQC-4 spectra acquired with a two rotor cycle LG spin-lock duration, we observed that the TONE D-HMQC-4 $^1$H signal is higher by ca. 20%, likely due to partial refocusing of $^1$H homonuclear dipolar couplings (Fig. S6, ES†). However, the rate of decay of the $^1$H signal under the LG spin-lock is slightly faster with TONE D-HMQC-4 than TONE D-HMQC-3 (Fig. S5, ES†) causing the HMQC intensities to become similar, despite the longer LG spin-lock duration used in TONE D-HMQC-4 (Fig. 3D and E). The signal loss in TONE D-HMQC-4 occurs due to residual $^1$H–$^1$H spin-diffusion during the central LG pulses, likely between $^1$H sites with the same chemical shift within the lattice.59 When a correlated $^1$H spin undergoes spin exchange (diffusion) with an uncorrelated $^1$H spin, the $^3$H HMQC signal is not refocused or recoupled properly, resulting in an increased rate of signal loss. Fig. 3J shows that the $^{35}$Cl trace obtained with TONE D-HMQC-4 has a sensitivity of 4.4 min$^{-1/2}$. The overall gain in sensitivity with TONE D-HMQC-4 is 2.6 compared to conventional D-HMQC (Fig. 3E and J). The efficacy of $t_1$-noise elimination is evident from the comparison of 2D D-HMQC and 2D TONE D-HMQC-4 spectra shown in Fig. 3K and L. Additionally, the resolution of the $^{35}$Cl trace offered by TONE D-HMQC-4 is dramatically higher than any other method because it is a constant-time sequence.30 The LG pulses used in TONE D-HMQC-4 increase sensitivity as compared to a constant time D-HMQC experiment because the correlated $^1$H magnetization will decay more slowly under the LG spin-lock than it does under transverse free-evolution (Fig. S5, ES†).

Fig. S7 (ES†) shows an additional pulse sequence, denoted as TONE D-HMQC-5, which combines TONE D-HMQC-3 and -4 to enable $t_1$-noise elimination and incremented $t_1$ periods. The resolution decreases slightly with the TONE D-HMQC-5 as compared to TONE D-HMQC-4 because relaxation during the variable LG spin-lock used in TONE D-HMQC-5 results in slight additional broadening of the indirect dimension signals (Fig. S5, ES†).
slower under the LG spin-lock than for $^1$H transverse relaxation, both TONE D-HMQC-4 and TONE D-HMQC-5 sequences are expected to perform similarly, whereas when the LG spin-lock decay rate is comparable to the transverse decay rate, TONE D-HMQC-5 will provide more signal, but with lower resolution.

$^{35}$Cl traces extracted from the 2D NMR spectra at a $^1$H shift of 12.7 ppm demonstrates the feasibility of using the TONE D-HMQC sequences to observe correlations between weakly dipolar coupled spin pairs (Fig. 3M). A plane-wave density-functional theory (DFT) optimized structure of histidine shows that the shortest $^1$H–Cl distance (2.26 Å or dipolar coupling $b/2\pi$ of 1021 Hz) corresponds to the ammonium $^1$H signal at 9 ppm, in agreement with the observation that this $^1$H signal shows the most intense correlations in the 2D D-HMQC spectra (Fig. 3K and Fig. S2, ESI†). Weaker $^1$H–$^{35}$Cl heteronuclear correlations were observed in the 2D D-HQMC spectra for the amine $^1$H NMR signal at 12.7 ppm and ammonium $^1$H NMR signal at 17.2 ppm because of longer $^1$H–Cl internuclear distances and lower heteronuclear dipolar couplings (2.84 Å, $b/2\pi = 514$ Hz and 3.84 Å, $b/2\pi = 208$ Hz, respectively). Weak heteronuclear dipolar interactions will lead to smaller ratios of correlated magnetization to uncorrelated magnetization, which was predicted above to lead to increased $t_1$-noise. Consequently, with conventional D-HMQC it is very challenging, if not impossible, to observe the correlations between $^{35}$Cl and the $^1$H NMR signals at 12.7 ppm and 17.2 ppm with reasonable SNR (Fig. 3K and top slice in Fig. 3M). These correlations are even more challenging to observe at higher static magnetic fields due to the increase in $^1$H CSA (Fig. S8, ESI†). Notably, as shown in Fig. 3L and Fig. S2 (ESI†), the $^1$H–$^{35}$Cl correlations at a $^1$H shift of 12.7 ppm and 17.2 ppm can be clearly observed with TONE D-HMQC-2–4, with TONE D-HMQC-4 providing the best resolution of the $^{35}$Cl site. These results demonstrate the value of proton detected TONE D-HMQC sequences for indirectly detecting high resolution quadrupolar powder patterns of half-integer quadrupolar nuclei and extracting meaningful spatial proximity information from 2D HETCOR spectra.

The sensitivity of the TONE D-HMQC sequences can be further improved using the population transfer (PT) scheme. In PT D-HMQC experiments, saturation pulses are applied to the satellite transitions of the quadrupolar spin concurrent with the $^1$H recoupling scheme. The RAPT pulses are easily incorporated into the TONE D-HMQC pulse sequences as shown in Fig. S9 and S10 (ESI†) providing further improvements in sensitivity by a factor 1.5–2. The ‘TONE’ concept can also be extended to D-HSQC experiments. Fig. S11 (ESI†) shows that 1D $^1$H($^{35}$Cl) TONE D-HSQC has 10% higher signal in comparison to conventional D-HMQC. Notably, the $^{35}$Cl NMR spectra obtained using TONE D-HSQC show similar resolution to those obtained with D-HMQC, suggesting the time constant for $^1$H spin diffusion is similar to the $^1$H $T_2^*$ (Fig. S11 and S12, ESI†). Notably, the $^{35}$Cl slice extracted from the 2D TONE D-HSQC spectrum has a sensitivity of 4.4 min$^{-1/2}$, which is comparable to the sensitivities obtained with the various TONE D-HMQC sequences (Fig. S11, ESI† and Fig. 3G–J). Therefore, the ideas presented in this article will also aid the further development of D-HSQC pulse sequences in the future.

$^{25}$Mg solid-state NMR spectroscopy has been used for the characterization of metal–organic frameworks (MOFs), layered double hydroxides, and a number of other organic/inorganic compounds. Unfortunately, $^{25}$Mg is a spin-5/2 quadrupolar nucleus with a low natural abundance of 10% and a low Larmor frequency (ca. 2.6 MHz T$^{-1}$), which makes observation of its NMR spectra at natural abundance very challenging. The development of natural abundance 2D $^1$H($^{25}$Mg) proton detected HETCOR methods to improve sensitivity and probe $^1$H–$^{25}$Mg spatial proximities would be helpful for the characterization of magnesium containing materials. Fig. 4A shows the application of 2D $^1$H($^{25}$Mg) HETCOR solid-state NMR to Mg–Al layered double hydroxides. The $^1$H spectrum (Fig. 4A, red trace) of the MgAl-27.8-NO$_3^-$ sample (the molar percentage of Al$^{3+}$ was determined using ICP) shows three signals corresponding to the Mg$_2$OH (1.2 ppm), Mg$_2$OH (3.3 ppm) and water sites (4.8 ppm), in good agreement with previous reports (Fig. S13, ESI†). The $^1$H signals at 1.2 and 3.3 ppm are both correlated to broad MAS $^{25}$Mg second-order quadrupolar powder patterns. Simulations of these patterns give $C_0$ values of 4.5–4.8 MHz in agreement with previous studies (Fig. S14, ESI†). Upon reducing the total dipolar recoupling from 1.732 to 0.8 ms, the correlation between the $^1$H at 1.2 ppm and the expected brucite-like $^{25}$Mg site becomes clearer (Fig. S14, ESI†). The observed correlations suggests an even mixing of Mg and Al rather than the formation of domains, in agreement with 2D $^1$H SQ-DQ correlations experiments. The result is further corroborated with $^1$H($^{27}$Al) TONE D-HMQC-4 experiments that show an intense correlation between the $^1$H site at 3.3 ppm and the single $^{27}$Al site (Fig. 4B). Notably, TONE D-HMQC-4 provides the
highest resolution in the $^{27}$Al spectrum amongst the D-HMQC and D-HSQC pulse sequences, while the best absolute $^{27}$Al resolution is provided by $^{27}$Al $\rightarrow$ $^1$H D-RINEPT because $^1$H heteronuclear decoupling can be applied during $t_1$ evolution (Fig. S15 and S16, ESI†). These results demonstrate the utility of fast MAS, proton detected TONE D-HMQC methods for the precise characterization of local structure in heterogeneous materials.

Due to efficient suppression of $t_1$-noise, the application of PT TONE D-HMQC-3 results in a gain in sensitivity in the $^{25}$Mg dimension by a factor 2.5 compared to $^1$H($^{25}$Mg) PT D-HMQC, while TONE D-HMQC-1 and 2 provide less sensitivity gain (Fig. S17, ESI†). TONE D-HMQC-4 produced a low quality spectrum due to a short $^1$H $T_2^*$ under the LG spin-lock pulse (Fig. S18, ESI†). While it was not tested, TONE D-HMQC-5 would probably work well for this sample. TONE D-HMQC-4 provided a well-resolved $^{25}$Mg quadrupolar pattern for magnesium hydroxide (Fig. S19, ESI†). These results suggest that judicious choice of TONE D-HMQC-2, -3 or -4 should be made based on the lifetime of the TONE D-HMQC signal under the LG spin-lock pulse. The lifetime can be easily determined by varying the LG spin-lock pulse and monitoring the 1D TONE D-HMQC signal intensities. While TONE D-HMQC-4 is a valuable experiment that can provide increased resolution in the indirect dimension, TONE D-HMQC-3 appears to provide the highest sensitivity (Fig. 4 and Fig. S17, ESI†). As explained in the previous section, TONE D-HMQC-4 is susceptible to signal losses due to residual spin-diffusion during the LG spin-lock pulse. This problem is exacerbated when the fraction of uncorrelated spins is higher and/or when the heteronuclear dipolar coupling constant is weaker.59 Therefore, differences in the residual $^1$H spin diffusion rate under the LG spin-lock pulse may explain the more negative impact on the TONE D-HMQC-4 experiments with $^{25}$Mg than $^{27}$Al (Fig. S18, ESI†). TONE D-HMQC-4 requires a LG spin-lock lifetime that is long enough to capture the decay of the indirect dimension signals and will only be effective in samples where the loss of signal due to this residual $^1$H spin-diffusion is minimal. In cases, where TONE D-HMQC-4 is ineffective, TONE D-HMQC-3 or TONE D-HMQC-2 may work more efficiently as observed here. Based on the high efficiency of TONE D-HSQC observed with $^1$H($^{35}$Cl) experiments described earlier, we expect TONE D-HSQC to also be a suitable alternative.

$^{13}$C has a natural abundance of 1.1% which means that approximately 1% of protons in the sample may participate in the D-HMQC experiment and approximately 99% of the $^1$H NMR signal must be canceled out through phase cycling.27,75 Furthermore, the ca. 50% maximum efficiency of the dipolar recoupling induces further losses. Therefore, there is a high probability for the observation of $t_1$-noise in a natural abundance $^1$H($^{13}$C) D-HMQC experiment, even with slight MAS instabilities of a few Hz. We note that $^1$H($^{13}$C) idHETCOR pulse sequences that use efficient CP blocks for $^1$H($^{13}$C) magnetization transfer and saturation pulses to eliminate uncorrelated $^1$H magnetization are preferred for proton-detected natural abundance $^{13}$C SSNMR.11,13 However, as a proof-of-concept, $^1$H($^{13}$C) D-HMQC experiments were performed with natural isotopic abundance histidine. As expected, there is considerable $t_1$-noise in the conventional 2D $^1$H($^{13}$C) D-HMQC spectrum (Fig. 5A). The amine and ammonium $^1$H NMR signals at 12.7 and 17.2 ppm display the most $t_1$ noise because both these sites also have the largest $^1$H CSA. This result is consistent with the simulations presented above. Fig. 5B shows a TONE D-HMQC-3 spectrum that is essentially devoid of $t_1$-noise, similar to the $^1$H($^{35}$Cl) data shown in Fig. 2. As shown in Fig. S20 (ESI†) while setting the relaxation delay according to Perras59 also improves the signal to noise ratio, a far more successful approach is to simply eliminate $t_1$-noise at the source, demonstrating the value of TONE D-HMQC.

Fig. 5C shows a $^1$H($^{17}$O) population transfer (PT) D-HMQC spectrum of 20% $^{17}$O labeled fmoc-alanine.76 The $t_1$-noise arising from the large fraction of uncorrelated low-frequency $^1$H signals in the D-HMQC spectrum is easily eliminated with the use of the TONE D-HMQC-3 method (Fig. 5D). Owing to the large $^1$H–$^{17}$O dipolar coupling (ca. 13.5 kHz) for the carboxylic acid proton at 14 ppm, each block is only 40 μs in duration in the D-HMQC experiments. Despite the fact that only a short recoupling time was required, TONE D-HMQC-3 still increases the sensitivity of $^{17}$O column at a $^1$H chemical shift of 14 ppm by a factor of 1.5 as compared to PT D-HMQC. TONE D-HMQC-4 did not improve the $^{17}$O sensitivity further, likely because the correlated HMOC signal has a short lifetime under the LG spin-lock pulse, as was discussed earlier.

**Conclusions**

In conclusion, a series of modified D-HMQC pulse sequences, dubbed $t_1$-noise eliminated (TONE) D-HMQC were shown to reduce $t_1$-noise, permitting the acquisition of fast MAS, $^1$H
detected 2D HETCOR SSNMR spectra with $^{13}$C, $^{17}$O, $^{27}$Al, $^{35}$Cl and $^{25}$Mg. The TONE sequences should offer better performance than conventional D-HMQC when there are experimental MAS frequency instabilities, the samples are dilute, the $^1$H spins have large CSA, when the nuclei of interest have low abundance and/or have weak dipolar couplings to protons. The reduction of $t_1$-noise has been a longstanding challenge for $^1$H detected D-HMQC SSNMR experiments. The application of TONE D-HMQC for the indirect detection of $^{35}$Cl provided a gain in sensitivity by a factor 3 which results in a savings in time up to an order of magnitude, whereas, in case of $^{17}$O an enhancement of 1.5 was obtained. Notably, we have demonstrated that TONE D-HMQC can be used to obtain $^1$H($^{25}$Mg) heteronuclear correlation spectra of Mg-Al layered double hydroxides at natural abundance and provide a gain in sensitivity by a factor 2.5 in comparison to conventional D-HMQC.

Based upon the observations made here there are some general considerations to guide the selection of pulse sequence for $^1$H detected fast MAS HMQC/HSQC experiments. The only disadvantage of the TONE D-HMQC-2 or TONE D-HSQC sequences as compared to conventional D-HMQC is that a π inversion pulse is required on the X channel. Hence, TONE D-HMQC-2 or TONE D-HSQC experiments are recommended in place of D-HMQC for indirect detection of spin-1/2 and half-integral quadrupolar nuclei. TONE D-HMQC-3, -4 and -5 pulse sequences utilize LG spin-lock pulses to eliminate $t_1$-noise and enhance indirect dimension resolution and were found to give better performance than TONE D-HMQC-2. The downside of the TONE D-HMQC-3, -4 and -5 pulse sequences is that LG pulse durations need to be optimized and the rf-field should be correctly selected. The LG spin-lock pulse $\nu_1$ should be more than $2.5 \times \nu_t$ or between $0.1 \times \nu_t$ and $0.25 \times \nu_t$ to avoid rotary resonance conditions in fast MAS experiments. $^{59}$ LG trim pulses with durations between 250 μs and 1 ms were found to be sufficient to reduce the uncorrelated signal in the TONE D-HMQC-3–5 pulse sequences. Unfortunately the decay rate of spin-locked anti-phase magnetization ($\langle I_x S_x \rangle$) during the LG spin-lock pulse is sample dependent, therefore the LG pulse duration should be experimentally optimized with both high- and low-rf field LG pulses to identify the best conditions. The LG pulse duration in the TONE D-HMQC-4 pulse sequence must be set to a duration greater than $t_{1,max}$, hence, this sequence is only applicable to samples which exhibit a slow decay of spin-locked anti-phase magnetization. For the TONE D-HMQC-5 pulse sequence, the duration of the first LG spin-lock pulse is set in the same way as TONE D-HMQC-3, whereas the second LG pulse block is applied throughout $t_1$ in an incremented fashion. Therefore, a slow decay of spin-locked anti-phase magnetization is also required for TONE D-HMQC-5 as well, although it will likely provide higher sensitivity than TONE D-HMQC-4. For experiments with half-integer quadrupolar nuclei, all the pulse sequences reported here can be performed with the population transfer (PT) scheme$^{67,77}$ (Fig. 1 and Fig. S7, S9 and S11, ESI†). In all cases PT was found to improve sensitivity. The use of PT necessitates optimization of the recoupling duration and the power and offset of satellite transition saturation pulses, although we have found that the same parameters for PT generally work well for a given nucleus. Finally, in cases where the $^1$H $T_1$ is long or if the $t_1$-noise elimination by TONE is still insufficient, $X \rightarrow ^1$H D-RINEPT experiments work well.$^{31}$

The TONE D-HMQC and D-HSQC sequences presented here will allow the acquisition of HETCOR spectra with unresonant and exotic nuclei, thereby widening the applicability of SSNMR. For instance, the techniques described here for $^{13}$C, $^{17}$O and $^{35}$Cl should be applicable for the characterization of pure and formulated active pharmaceutical ingredients. $^{25}$Mg and $^{27}$Al experiments should be applicable to characterize a variety of inorganic materials or heterogeneous catalysts. It should also be possible to combine the sequences presented in this paper with other sensitivity enhancement techniques, such as dynamic nuclear polarization (DNP), where fast-MAS was recently introduced.$^{78,79}$ As pointed out previously, fast MAS DNP probes from Bruker may induce higher $t_1$-noise due to instabilities caused by the VT and Venturi gas flows.$^{35}$ TONE D-HMQC may enable correlation spectroscopy under DNP conditions with challenging nuclei. Such a combination would be of tremendous use for the characterization of materials and isotopes that were previously inaccessible using conventional solid-state NMR.

Experimental

NMR spectroscopy

Fast MAS experiments at 9.4 T were performed on a Bruker double resonance 1.3 mm HX probe, with a Bruker Avance III HD spectrometer and a wide-bore NMR magnet. 18.8 T $^1$H($^{15}$Cl) experiments were performed using a Bruker 1.3 mm HCN probe, a Bruker Avance III HD spectrometer and a 63 mm mid-bore magnet at the National High Magnetic Field Laboratory (NHMFL) in Tallahassee, Florida.

All samples were handled under ambient conditions and packed into zirconia rotors that were spun using N$_2$ gas for NMR experiments. $^1$H rf calibrations were performed using a simple 90°-spin-lock sequence by determining the 0th and 2nd order rotary resonance conditions. The $^{25}$Mg rf fields were calibrated using the Bloch–Siequist shift method reported by Hung et al.$^{80}$ The π/2 pulses used for $^1$H, $^{13}$C, $^{17}$O, $^{25}$Mg, $^{27}$Al and $^{35}$Cl were 2.5 μs, 2.5 μs, 4.75 μs, 10 μs, 13.0 μs and 4.75 μs, respectively. For the 18.8 T experiments, a $^{35}$Cl π/2 pulse duration of 5.25 μs was used. Pulses on half-integral quadrupolar nuclei $^{17}$O, $^{25}$Mg, $^{27}$Al and $^{35}$Cl were central-transition selective. A pulse duration of 1 μs was used for the $^{35}$ $^1$H pulses that sandwich the LG spin-lock pulse. In all cases, the LG spin-lock pulses were applied off-resonance to satisfy the LG condition: ($\Delta \nu_0 = \nu_1/2$, where $\Delta \nu_0$ is the calculated transmitter offset and $\nu_1$ is the applied rf field).$^{59}$ $^1$H–X heteronuclear dipolar recoupling was performed using the SR4$^1$H dipolar recoupling sequence$^{81}$ at the 2nd order rotary resonance condition in all cases. $^1$H heteronuclear decoupling (in case of D-RINEPT experiments) was performed using pulses applied at the 0th order rotary resonance condition (HORROR condition). $^1$H
pre-saturation was performed using a train of 90° pulses in all 1H excitation experiments to equilibrate the 1H magnetization before each scan. All 2D spectra were acquired using the States-TPPI method. 2D spectra are presented with skyline projects on the F2 and F1 axes unless mentioned otherwise. Further details for all experiments are provided below or in the respective figure captions.

1H chemical shifts were indirectly referenced to neat tetramethylsilane by using adamantane (δiso(1H) = 1.82 ppm). Topspin 3.6.1 was used to process all experimental NMR spectra. The average of four signal-to-noise ratio (SNR) measurements was considered while measuring SNR and calculating sensitivities. Care was taken to acquire and process spectra consistently before making comparisons.

**1H{13Cl} experiments**

L-Histidine-HCl·H2O was used as received from Sigma Aldrich. All experiments were performed at 50 kHz MAS. The 9.4 T 2D 1H{13Cl} experiments were performed with 16 scans, a 3.1 s recycle delay (1H T1 is approximately 2.9 s) and 64 t1 increments with an F1 spectral width of 25 kHz. Optimal dipolar recoupling durations of 1.84 and 1.92 ms were used in the conventional and TONE D-HMQC experiments, respectively. The 2D 1H{13Cl} TONE D-HMQC-3 and 4 spectra were acquired with total LG spin-lock pulse durations of 25 rotor cycles and 66 rotor cycles, respectively. Note that the total duration of the LG spin-lock pulses in TONE D-HMQC-4 is set to a value greater than the maximum t1 duration. The implementation of LG spin-lock pulses under fast MAS is described in detail in our previous report.59 WURST pulses 38.0 μs in duration (followed by 2 μs of delay) with an rf field of 36 kHz were applied repeatedly in the RAPT blocks60,61,67 used in PT D-HMQC experiments.31,67,77 The frequency sweep width of the RAPT pulses was equal to the MAS frequency in all cases. The frequency offset of the WURST pulses was alternated between ±450 kHz.

In case of the 18.8 T 2D 1H{13Cl} experiments, optimal total dipolar recoupling durations of 1.52 and 1.76 ms were used in the conventional D-HMQC and TONE D-HMQC experiments, respectively. Total LG spin-lock pulses of durations 100 rotor cycles and 130 rotor cycles were acquired at 150 kHz rf for the TONE D-HMQC-3 and 4 experiments, respectively. 38.0 μs WURST pulses were applied at an rf field of ca. 26 kHz on the 13Cl to achieve population transfer. The frequency offset of the WURST pulses was alternated between ±200 kHz.

**1H{25Mg} and 1H{27Al} experiments on the layered double hydroxide (LDH)**

The magnesium LDH sample was synthesized using a previously reported procedure.70 ICP indicated that the Al and Mg contents of the sample are ca. 27.8 and 33.9%, respectively. The powder X-ray diffraction (PXRD) pattern of the MgAl-27.8-NO3− sample is provided in Fig. S13 (ESI†). All solid-state NMR spectra were performed with a 60 kHz MAS frequency and a 9.4 T static magnetic field. A 1H T1 relaxation constant of 1 s was measured using a saturation recovery experiment.1H{25Mg} (TONE) D-HMQC 2D spectra were acquired with 128 or 256 scans, 1.1 s recycle delay and 64 t1 increments with a 60 kHz F1 spectral width. The short recoupling time PT TONE D-HMQC-3 spectrum shown in Fig. S14 (ESI†) was obtained using 896 scans. Population transfer was performed using 31.34 μs WURST pulses with a 27 kHz rf field. The frequency offset of the WURST pulse was alternated between ±350 kHz. Total dipolar recoupling durations of 1.732–1.8 ms were used in the optimal (long) recoupling time experiments whereas 0.8 ms was used in the short recoupling time experiments (Fig. S14, ESI†). LG spin-lock pulses 60–75 rotor cycles in duration were applied in case of TONE D-HMQC-3 experiments whereas the total LG pulse duration was set to 120 rotor cycles in case of TONE D-HMQC-4. The rf field for the LG spin-lock pulses was 150 kHz in both cases.

**1H{27Al} (TONE) D-HMQC and TONE D-HSQC 1Ds were obtained with 128 scans and 1.1 s recycle delay whereas the 2Ds were obtained with 8 scans, 1.1 s recycle delay and 40 t1 increments with a 6 kHz F1 spectral width. The 2D D-RINEPT experiment differed only in the recycle delay and the number of scans which were set to 0.2 s and 40 (512 scans for the 1D), respectively. Optimal dipolar recoupling durations of 0.532–0.932 ms were used. LG spin-lock pulses were applied at 150 kHz rf for durations of 15 and 204 rotor cycles in TONE D-HMQC-3 and TONE D-HMQC-4, respectively.

**1H{25Mg} experiments on magnesium hydroxide**

Experiments were performed with a 60 kHz MAS frequency and a 9.4 T static magnetic field. An optimal recycle delay of 4.42 s (1H T1 = 3.4 s), 48 scans, 48 t1 increments with a F1 spectral width of 30 kHz was used to acquire the 2D 1H{25Mg} spectra. An optimal total recoupling duration of 1.2 ms was used in all D-HMQC experiments. The total LG spin-lock pulse durations were set to 15 and 50 rotor cycles in TONE D-HMQC-3 and 4, respectively and the applied rf field was 150 kHz. 31.34 μs WURST pulses with a 27 kHz rf field were used for population transfer. The frequency offset of the WURST pulses was alternated between ±350 kHz.

**1H{13C} experiments**

Experiments were performed with a 50 kHz MAS frequency and a 9.4 T static magnetic field. Some experimental details are provided in the figure caption of Fig. S20 (ESI†). The LG spin-lock duration in TONE D-HMQC-3 was set to 1 ms (50 rotor cycles) and applied at a rf field of 150 kHz, without the use of 35° pulses sandwiching the LG spin-lock. An optimized total dipolar recoupling duration of 1.28 ms was used in all experiments.

**1H{17O} experiments**

Experiments were performed with a 50 kHz MAS frequency and a 9.4 T static magnetic field. 17O labeled fmoc-alanine obtained as described previously.76 2D spectra were acquired with 32 scans, 6.11 s recycle delay (1.3 × T1), 64 t1 increments with a 50 kHz F1 spectral width. The total duration of the SR4 pulse was 80 μs and 160 μs for PT D-HMQC and TONE D-HMQC-3, respectively. For the TONE D-HMQC-3 spectrum the LG spin-lock trim pulse with a duration of 100 rotor cycles was applied with a 130 kHz rf field. Population transfer was...
performed using 38.0 μs WURST pulses with a 44 kHz rf field. The frequency offset of the WURST pulses was alternated between ±400 kHz.

Simulations of MAS frequency profiles

Numerical simulations were performed using SIMPSON v4.1.1.62–64 The SIMPSON input files used for the D-HMOC and TONE D-HMOC-2 simulations are provided with the ESI.† All pulses in the simulations were of finite duration except the 1H refocusing (τ) pulses which were ideal. The τ 168 (z, β) crystal file was used and the gamma angles was set to 32. The correlated and uncorrelated signals were selected by filtering the density matrix for coherence orders 1 and −1 (uncorrelated intensity) or 2, 0 and −2 (correlated intensity). The filter was applied after the first 90° pulse on the 13C channel. The MAS frequency was varied systematically from 49,800 Hz to 50,200 Hz in steps of 20 Hz to obtain the profiles shown in Fig. 2A–D. Simulations with a finer 1 Hz stepping of the MAS frequency yielded similar profiles. The simulated profiles were fit to Lorentz/Gauss functions as described in the main text. 1H CSA values derived from CASTEP correspond to the anisotropy (Δδ) in the Haebeler convention and the corresponding reduced anisotropy (δ = 2Δδ/3) was input into SIMPSON.

Monte Carlo simulations of t1-noise

MATLAB 9.8.0 (R2020a) was used to perform the Monte-Carlo simulations shown in Fig. 2. Examples of the MATLAB code used are provided with the ESI.† The X T1* and 1H T2' were set to 250 μs and 500 μs in all simulations based on estimates from experimental 35Cl and 1H spectra of histidine at 9.4 T and 50 kHz MAS. RMN 2.0.282 was used to process the simulated FIDs and measure SNR. The simulated FIDs were zero-filled up to 1024 points prior to addition of thermal noise and Fourier transformation. Care was taken to ensure that the standard deviation of the added thermal noise was proportional to the maximum signal value in the FID.

Plane-wave DFT calculations

DFT calculations on the histidine and fmoc-alanine were performed using CASTEP83 with the PBE-GGA functional.84 TS dispersion correction scheme85 and ultra-soft pseudopotentials.86 Hydrogen atom positions were optimized prior to performing the NMR calculations. The GIPAW method87 with the Zero-Order Relativistic Approximation (ZORA)88 was used to calculate the magnetic shielding tensors. A k-point spacing of 0.07 Å−1 was used for the Monkhorst-Pack grid.

Conflicts of interest

There are no conflicts to declare.

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