Large Spin-to-Charge Conversion at Room Temperature in Extended Epitaxial Sb$_2$Te$_3$ Topological Insulator Chemically Grown on Silicon

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Spin-charge interconversion phenomena at the interface between magnetic materials and topological insulators (TIs) are attracting enormous interest in the research effort toward the development of fast and ultra-low power devices for future information and communication technology. A large spin-to-charge (S2C) conversion efficiency in Au/Co/Au/Sb$_2$Te$_3$/Si(111) heterostructures based on Sb$_2$Te$_3$ TIs grown by metal–organic chemical vapor deposition on 4″ Si(111) substrates is reported. By conducting room temperature spin pumping ferromagnetic resonance, a 250% enhanced charge current due to spin pumping in the Sb$_2$Te$_3$-containing system is measured when compared to the reference Au/Co/Au/Si(111). The corresponding inverse Edelstein effect length $\lambda_{IEE}$ ranges from 0.28 to 0.61 nm, depending on the adopted methodological analysis, with the upper value being so far the largest observed for the second generation of 3D chalcogenide-based TIs. These results open the path toward the use of chemical methods to produce TIs on large area Si substrates and characterized by highly performing S2C conversion, thus marking a milestone toward future technology-transfer.

1. Introduction

Information and Communication Technologies (ICT) are deeply changing our lives and working routines, and this trend got remarkably boosted during the Covid-19 pandemic. In order to improve the overall efficiency and lower the power consumption of any electronic circuit and device, new materials with enhanced functionalities must be brought to a maturity level.

Topological insulators (TIs) represent a state of matter in which the material bulk has insulating properties while the surface hosts highly conducting states.[1] In TIs, the presence of Dirac-like dispersed surface states jointly with the large spin–orbit coupling (SOC), fixes the electrons spin orientation with respect to their momentum,
thus generating topologically protected surface states (TSS).[1] TIs are therefore considered an attracting solution to bring spintronics to the next level in the future ICT,[2–6] in which the devices functionalities can be driven by a collection of SOC phenomena such as spin Hall effects.[7] Thanks to their TSS, TIs provide an efficient alternative to the typically used heavy metals (HM) for exploiting spin–charge interconversion effects in heterostructures where TIs and magnetic materials are interfaced.[8–10] The second generation of 3D-TIs, such as bismuth and antimony chalcogenides-based Bi2Se3, Bi2Te3, and Sb2Te3, is attracting huge interest.[11,12–14] They are narrow band-gap semiconductors with rhombohedral crystalline structures belonging to the R-3m space group.[15,16] In principle, exploiting TSS in the second generation of 3D-TIs requires epitaxial quality thin films, a feature that is most commonly achieved by the widely reported molecular beam epitaxy (MBE) deposition method,[12–16] with several reports about the use of magnetron sputtering also available.[17–19] In order to fill the gap between research and technology, a firm and decisive effort to develop methods to grow TIs on large-area Si substrates, by simultaneously controlling their functional properties, is highly required. Recently, chemical methods, such as atomic layer deposition, chemical vapor deposition (CVD), and metal–organic CVD (MOCVD) have been shown to allow cost-effective depositions and complex 3D structures on large areas.[20,21] In a recent review by Zabaveti et al.[22] a comparison between growth methods for the synthesis of chalcogenides thin films in terms of their lateral dimension has shown the clear advantage in using chemical methods (i.e. cost-effectiveness, complex 3D structures).

We have recently developed a MOCVD process to grow epitaxial-quality Antimony Telluride (Sb2Te3) on 4° Si(111) substrates[23] (Figure S1, Supporting Information). As probed by both angle-resolved photoemission spectroscopy (ARPES) and magnetoconductance (MC) measurements discussed below, when compared to granular-Sb2Te3 grown on SiO2,[23] the epitaxial-Sb2Te3 on top of Si(111) shows improved topological properties especially upon proper annealing, proving clearer and more robust TSS. The next fundamental step is therefore to quantify and optimize spin–charge interconversion phenomena at the interface of the developed TIs with magnetic materials. The use of spin-pumping ferromagnetic resonance (SP-FMR) to investigate spin-to-charge (S2C) conversion at ferromagnets (FM)/HM interfaces has been theoretically described for a long time,[24,25] and widely demonstrated.[26–32]

In this work, we report a large S2C conversion occurring at room temperature (RT) in Au/Co/Au/Sb2Te3/Si(111) heterostructures, by making use of broadband FMR (BFMR), also known as all-electrical spin-wave spectroscopy, and SP-FMR. In the latter experiment, a pure spin current is generated in the Co layer and perpendicularly pumped into the adjacent 3D-Sb2Te3, through the Au interlayer, which is found essential for suppressing interfacial non-linear effects due to two magnon scattering (TMS). As a figure of merit for the S2C conversion efficiency quantification, we measure the inverse Edelstein effect length[13] \( \lambda_{IEE} \) which is found to range from 0.28 to 0.61 nm. These \( \lambda_{IEE} \) values are comparable or larger than those previously communicated for FM/TIs structures,[12,26,28,31,32,34] constituting the first report on SP phenomena involving the binary Sb2Te3. The successful integration of Sb2Te3 on silicon opens interesting routes toward the technology transfer of TIs for the future of ICT. Finally, by comparing our study with those obtained so far in FM/TIs systems by SP-FMR, we shed light on the influence of the data-treatment to extract \( \lambda_{IEE} \) pointing toward the need for a unified approach to efficiently compare results from different research groups.[14]

2. Results and Discussion

2.1. ARPES on Epitaxial Sb2Te3

The electronic band structure of the epitaxial Sb2Te3 is imaged by ARPES using the 21.22 eV photon excitation energy from a He I plasma source. The in-plane (IP) band dispersion and the constant energy contours (CEC) are shown in Figure 1.

A highly dispersive band (red broken line), forming a Dirac-like cone is clearly seen in the inset of Figure 1a. The tip of the Dirac cone is located near the Fermi level E_F or slightly above it, in agreement with previous reports[35–37] The Fermi surface and the CEC at a binding energy \( E_B = -0.22 \) eV in Figure 1b exhibit a characteristic hexagonal shape which is compatible with a 2D-TSS obeying the time-reversal symmetry. This is in clear distinction with a bulk conduction band (BCB), which is expected to be trigonally shaped, reflecting the trigonal symmetry of rhombohedral bulk Sb2Te3. It can be inferred from Figure 1a and the Fermi surface in Figure 1b that only the TSS contribute to the Fermi Energy; with no sign of contribution from the BCB, which should exhibit a trigonal symmetry. Moreover, low temperature MC measurements conducted on the Sb2Te3 film showed a weak anti-localization effect, a marker of the presence of conductive TSS (Figure S2, Supporting Information). Jointly, ARPES and MC demonstrate the existence of TSS, thus validating the MOCVD-grown epitaxial Sb2Te3 thin films as a true TI at RT.

2.2. Effective Spin-Mixing Conductance in Co/Sb2Te3 Heterostructures

By BFMR, we measure the evolution of the resonant frequency \( f_{res} \) as a function of the resonant magnetic field \( H_{res} \) for different Co thicknesses for both the Au(5 nm)/Co(t)/Sb2Te3 and Au(5 nm)/Co(t)/Au(5 nm)/Sb2Te3 heterostructures. For each Co thickness, the acquired datasets are fitted to the Kittel formula for the uniform magnetization precession in the IP configuration, as described in Figure S5, Supporting Information. Both the sample series show evolution as a function of the Co thickness in accordance with the Kittel formula, similarly to measurements conducted by other groups.[38,39] This underlines the accurate Co thickness control and the overall high magnetostructural quality of the deposited films. For both the systems, the full width at half maximum (FWHM) of the FMR signals \( \Delta H_{FWHM} \) as a function of the resonant RF frequency \( f_{res} \) is acquired and reported in Figure S5, Supporting Information. From the latter measurement, the damping constant \( \alpha \) of the FM magnetization and the inhomogeneous broadening \( \Delta H_0 \) are extracted. The \( \Delta H_0 \) parameter provides information about the magneto-structural quality of the FM film, being fundamental to confirm the reliability of the physical properties obtained by BFMR.[40] In Figure 2, the \( \alpha \) values for each sample are extracted as a function of the inverse of the Co thickness (1/\( t_{Co} \)).
Typically, in the framework of the SP theory,\cite{25, 41} the \(\alpha(1/t_{\text{Co}})\) curve follows a linear trend, as described by the first two terms on the right-hand side of Equation (1),

\[
\alpha = \alpha_{\text{bulk}} + \Re\left(g_{\text{eff}}^{\uparrow\downarrow}\right) \frac{\mu_B}{4\pi M_{\text{FM}} t_{\text{FM}}} + \beta_{\text{TMS}} \frac{1}{t_{\text{FM}}^3}
\tag{1}
\]

where \(\alpha_{\text{bulk}}\) represents the damping constant of the bulk material, \(\mu_B\) the Bohr magneton, \(M\) the saturation magnetization, \(g\) the \(g\) factor, \(t_{\text{FM}}\) the thickness of the FM layer and \(\Re\left(g_{\text{eff}}^{\uparrow\downarrow}\right)\) is the real part of the effective spin-mixing conductance. The latter quantity plays a central role in the description of the SP phenomena, being directly proportional to the spin current density generated in the FM layer and pumped into the adjacent non-magnetic material, here \(\text{Sb}_2\text{Te}_3\), at resonance condition.

Clearly, the trend observed for the \(\text{Au}(5\ \text{nm})/\text{Co}(t)/\text{Sb}_2\text{Te}_3\) stacks (green stars in Figure 2) does not follow a linear dependence in the whole thickness range. Indeed, by applying the conventional SP fitting model (first two terms in Equation (1)), an \(\alpha_{\text{bulk}} = (5 \pm 1) \times 10^{-3}\) is obtained, which is in disagreement with the \((8 \pm 11) \times 10^{-3}\) range expected for bulk Co.\cite{38, 42} Being \(g_{\text{eff}}^{\uparrow\downarrow}\) a fundamental parameter to judge spin pumping functionalities, the observed nonlinearity in the \(\text{Au}(5\ \text{nm})/\text{Co}(t)/\text{Sb}_2\text{Te}_3\) system must be carefully addressed in order to avoid the extraction of unphysical \(g_{\text{eff}}^{\uparrow\downarrow}\) values from BFMR experiments.\cite{42} The nonlinear \(\alpha\) enhancement can originate from magneto-structural disorder in the Co thin films and/or at the Co/Sb\(_2\)Te\(_3\) interface. Indeed, for the thinnest samples, the obtained inhomogeneous term \(\Delta H_0\) shows a slight enhancement when compared to the thicker samples (see Figure S5e,f, Supporting Information). On the other hand, the XRR analysis (Figure S6, Supporting Information) evidences a high chemical-structural quality of the Co layers, suggesting that the divergence observed in Figure 2 for the \(\text{Au/Co/Sb}_2\text{Te}_3\) set (green stars) likely has other origin.

Actually, L. Zhu et al.\cite{42} have recently reported and analyzed the BFMR response in several FM/Pt heterostructures, pointing out that, in the majority of the studied systems, the SP is a relatively minor contribution to \(\alpha\), when measured in the GHz frequency region. Indeed, they suggested that two further terms should be accounted to properly describe the \(\alpha(1/t_{\text{Co}})\) curve: spin memory loss (SML) and TMS. SML is an interface effect manifesting with an additional linear contribution

![Figure 1. Angle resolved Photoelectron spectroscopy on Sb\(_2\)Te\(_3\)/Si(111) at RT. a) Energy dispersion as a function of IP wave vector \(k_{//}\) along the M-\(\Gamma\)-M direction in the first Brillouin zone. TSS denotes the 2D topological surface states forming a Dirac-like cone with the tip just above \(E_F\). The inset shows in magnification the energy range near the Fermi energy \(E_F\). b) CEC at two different binding energies showing the hexagonal symmetry of the TSS bands.](image-url)
to that in Equation (1). Due to SML, the spin current pumped from the precessing magnetization in a FM is partially suppressed at the interface with an adjacent layer, because of back-scattering. Recently, the main source of SML has been attributed to the presence of an abrupt interruption (i.e., at the interface) between a FM and a material with high SOC, such as HM or TIs.[43] Differently, the TMS is an energy transfer mechanism between the FMR uniform precessional mode and degenerate spin waves.[44–48] As discussed in Refs. [46,49], the source of the TMS is the presence of defects and imperfections at the surfaces and interfaces of FM thin films, which act as a source of scattering for the precessing magnetization. Indeed, the TMS is often related to the morphological and magnetic roughness at the FM/(HM or TIs) interface. According to Ref. [42], the total damping can be seen as \( \alpha = \alpha_{\text{bulk}} + \varepsilon_{\text{SP}} + \alpha_{\text{TMS}} \) thus giving the full expression in Equation (1), where \( \beta_{\text{TMS}} \) is the TMS coefficient, proportional to \( \left( \frac{K_s}{M_s} \right) \) (with \( K_s, M_s \) as the interfacial magnetic anisotropy density and the saturation magnetization, respectively) and to the density of the magnetic defects at the FM/(HM or TIs) interface.[49] In our system, we cannot separate the linear contributions to \( g_{\text{eff}} \) coming from SP or SML, and therefore we consider \( g_{\text{eff}} \) as totally originated by SP effects. On the other hand, being the linear region of the green dots in Figure 2 negligible when compared to the parabolic TMS terms, we infer a marginal role played by SML to determine our FMR linewidth. From the global fit of the Au/Co/Sb\(_2\)Te\(_3\) data set with Equation (1), we obtain \( \alpha_{\text{bulk}} = (8.7 \pm 0.9) \times 10^{-19} \, \text{m}^2 \) and \( \beta_{\text{TMS}} = (4.5 \pm 0.9) \times 10^{-19} \, \text{m}^2 \). The \( \alpha_{\text{bulk}} \) value perfectly agrees with those expected for bulk Co, thus demonstrating how the inclusion of the TMS contribution is necessary to interpret our FMR data set over the whole range of thicknesses investigated. Therefore, the adopted fitting strategy provides reliable \( \beta_{\text{TMS}} \) values, which are comparable to those previously reported in FM/TIs systems (Table I). In Figure 2, the orange solid line represents the global fit of the Au/Co/Sb\(_2\)Te\(_3\) data set (green stars) with Equation (1), where the green dashed and dotted lines are the TMS and SP component, respectively. The observation of the SP component (green dotted line) gives an immediate feeling about how this contribution is almost totally hidden by TMS. The presence of TMS in systems made of FM in contact with non-magnetic materials has been previously investigated by means of angular-dependent FMR measurements.[47,50,51] On the other hand, we are not aware of similar reports about the use of BFMR to study the influence of TMS at FM/TIs interfaces, thus showing how TMS must be carefully considered in order to extract \( g_{\text{eff}} \) values in SP experiments involving TIs, similarly as in FM/HM heterostructures.[42] The analysis of the FMR frequency evolution as a function of the applied field by the Kittel formula is reported in Figure S5c,d, Supporting Information, for the set of the Au(5 nm)/Co(t)/Au(5 nm)/Sb\(_2\)Te\(_3\) samples \( (t = 2.5, 4, 5, 7, 20 \, \text{nm}) \). The inclusion of the Au interlayer between Co and Sb\(_2\)Te\(_3\) totally suppresses the TMS contribution, blue dots in Figure 2, with the \( \alpha(1/t_{\text{Co}}) \) curve now displaying an ideal linear trend. This is directly reflected in lower \( \Delta H_{\text{K}} \) values when compared to those extracted for the Au/Co/Sb\(_2\)Te\(_3\) stack at similar Co thickness (see Figure S5e,f, Supporting Information). The extracted \( \alpha \) values can now genuinely be attributed to SP from Co across the Au(5 nm) interlayer into the epitaxial Sb\(_2\)Te\(_3\). Indeed, from the fit of the \( \alpha(1/t_{\text{Co}}) \) data with Equation (2) (now with \( \beta_{\text{TMS}} = 0 \)), we obtain \( \alpha_{\text{bulk}} = (8.5 \pm 0.2) \times 10^{-19} \) and \( \beta_{\text{TMS}} = (2.1 \pm 0.1) \times 10^{-10} \, \text{m}^{-2} \). The extracted \( \alpha_{\text{bulk}} \) is in perfect agreement with the expected values[49] thus validating the fitting procedure. The extracted \( g_{\text{eff}} \) is well in the \( 10^{18} \sim 10^{20} \, \text{m}^{-2} \) range reported in most of the FM/(HM, TIs) systems probed by SP-FMR (Table I, and references therein).

If a FM thin film is in contact with a good spin sink (i.e., HM, TIs), the generation of pure spin currents from FM into HM or TIs is associated with a high \( g_{\text{eff}} \) value. In principle, the insertion of an interlayer between FM and the non-magnetic layer, could lead to a reduction of SP depending on the spin diffusion length \( \lambda_s \) value characterizing the particular interlayer used.[52] On the other hand, in the case of TIs, the direct contact with magnetic materials could also have a detrimental effect on the TSS,[53] which can be otherwise protected with a proper interlayer. Indeed, in FM/(HM, TIs) systems there are several examples where the presence of chemical intermixing and morphological/magnetic interface roughness has been shown to play a key role in the S2C conversion efficiency.[17,28,29,42,54,55] Therefore, choosing an appropriate interlayer and finding the best trade-off in maintaining the TIs TSS while keeping an efficient spin transport across the FM/interlayer/TIs interface is mandatory but also impressively challenging. By comparing our \( g_{\text{eff}}^{11} \) with other available results (Table I), it can be concluded that there is certainly still some room to further enhance the spin mixing at the Co/Au/Sb\(_2\)Te\(_3\) interface. A complete overview of different interlayer options to optimize the SP in Co/Sb\(_2\)Te\(_3\)-based systems is out of the scope of the present paper and may be the subject of future studies.
2.3. Spin Pumping in Au/Co/Au/Sb\textsubscript{2}Te\textsubscript{3} Heterostructures

In a SP experiment a 3D spin current density \( J_{5D} \) is generated at resonance in the Co layers, longitudinally injected into Sb\textsubscript{2}Te\textsubscript{3} across the Au interlayer, and detected through IP SP-FMR.\textsuperscript{25,31,41,43,56,57} The general expression for \( J_{5D} \) (in units of \( A m^{-2} \)) is given by Equation (2).

\[
J_{5D} = \frac{Re\{\mathcal{F}(\mathcal{G}_{ij})\}}{8\pi\alpha^2} \frac{\hbar}{\hbar} \left( \mu_e M_S - \sqrt{\mu_e M_S^2 + 4 \omega^2} \right) \frac{2 \epsilon}{\hbar}
\]

where \( \hbar \) is the reduced Planck constant, \( \omega \) the frequency of the RF-signal, \( \epsilon \) the charge of the electron and \( \hbar_RF \) the oscillating magnetic field generated by the grounded coplanar waveguide (GCPW).

Following the spin pumping into the Sb\textsubscript{2}Te\textsubscript{3} layer, a charge current \( I_{C} \) is generated in the Sb\textsubscript{2}Te\textsubscript{3} layer and detected as a potential drop \( V_{SP} \) across the measured sample.\textsuperscript{58,59} The electronic transport in our Sb\textsubscript{2}Te\textsubscript{3} layers mainly occurs in 2D, as demonstrated by the MC measurements conducted before the Au/Co/(Au) deposition, and interpreted in the framework of the Hikami–Larkin–Nagaoka model (Figure S2, Supporting Information). Therefore, the charge current density \( J_{C} \) that is generated by the \( J_{5D} \) pumping, can be expressed with Equation (3).

\[
J_{C} = \frac{V_{SP}}{W R}
\]

where \( W \) is the width of the sample (Figure 6c in the Experimental Section), \( R \) is the sheet resistance as measured separately at four points in the Van der Pauw configuration in the

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### Table 1. Summary of \( g_{ij}^{\text{eff}} \) and \( \lambda_{IEE} \) Values as measured by FMR and SP-FMR (at the indicated temperature \( T \)) in stacks with TIs, strained \( \alpha \text{-Sn} \) and HgTe, and selected HM. The TIs and HMs growth methods are also indicated when available. The reported \( g_{ij}^{\text{eff}} \) values are those obtained following the subtraction of corresponding FMs reference samples. The method to extract \( \lambda_{IEE} \) following Equation (6)(∙) or (∙∙) is also indicated. The data obtained in the present work are reported for comparison. Here, TIs superlattices are not included.\textsuperscript{24}

| Stack | Growth of HM or TI | Thickness [nm] | \( T \) [K] | \( g_{ij}^{\text{eff}} \) [\( 10^{-19} \text{ m}^{-2} \)] | \( \lambda_{IEE} \) [nm] | Analysis by Equation (6) [∙] or (∙∙) | REF. |
|-------|-------------------|---------------|-------------|-----------------|---------------|---------------------------------|------|
| Au/Ni\textsubscript{80}Fe\textsubscript{20} | | | | | | | [73] |
| Pt/Ni\textsubscript{80}Fe\textsubscript{20} | | | | | | | [73] |
| Pt/Co\textsubscript{0.2}Ni\textsubscript{0.8} | Sputtering | 6/6 | RT | 3.0 | | | [76] |
| Pt/Co | Sputtering | RT | 3.96 | | | | [76] |
| Pt/Ni\textsubscript{80}Fe\textsubscript{20} | Sputtering | 10/10 | RT | 2.31 | | | [59] |
| (Pt\textsubscript{0.2}Sb\textsubscript{0.8})Te\textsubscript{3}/Ni\textsubscript{80}Fe\textsubscript{20} | | | | | | | [58,59] |
| Bi\textsubscript{2}Se\textsubscript{3}/Ni\textsubscript{80}Fe\textsubscript{20} | MBE | 6 QL/12 | RT | 2.4 | | | [69] |
| Sn:Bi\textsubscript{2}Te\textsubscript{3}Se/Cu/Ni\textsubscript{80}Fe\textsubscript{20} | Bridgman single crystal synthesis | s.c./5/25 | 40 | - | 0.10 ± 0.25 | | [77] |
| \( \alpha \text{-Sn}/Ag/Fe \) | MBE | 30 ML/2/5 | RT | 7 | 2.1 | | [26] |
| Ag/Bi | MBE | 5–20/8 | RT | 1.29 ± 3.21 | 0.2 ± 0.33 | | [31] |
| CdTe/HgTe/Hg\textsubscript{0.5}Cd\textsubscript{0.5}Te/NiFe | MBE | 200/[10–80]/5/20 | RT | - | 0.5–2.0 | | [78] |
| Bi\textsubscript{2}Se\textsubscript{3}/CoFeB\textsubscript{20} | Sputtering | 2 | RT | 0.7 | 0.32 | | [32] |
| Bi\textsubscript{2}Se\textsubscript{3}/CoFeB\textsubscript{20} | Sputtering | 12 | RT | 0.7 | 0.10 | | [32] |
| (Bi\textsubscript{0.5}Sb\textsubscript{0.5})Te\textsubscript{3}/Y\textsubscript{2}Fe\textsubscript{2}O\textsubscript{12} | MBE | 6QL/30 | RT | 0.017 ± 0.035 | | | [79] |
| Ti\textsubscript{3}Pb/Cu/Ni\textsubscript{80}Fe\textsubscript{20} | MBE | 2 ML/60/20 | 15 | 0.14 | | | [77] |
| Bi\textsubscript{2}Se\textsubscript{3}/Bi | MBE | 9QL/Bi(n)/13 | RT | 0.25 ± 165.7 | 0.125 ± 0.28 | | [80] |
| Bi\textsubscript{2}Se\textsubscript{3}/Y\textsubscript{2}Fe\textsubscript{2}O\textsubscript{12} | Sputtering | 4–16/20 | RT | 0.8–1.36 | 0.11 ± 0.075 | | [17] |
| (Bi\textsubscript{0.5}Sb\textsubscript{0.5})Te\textsubscript{3}/Ni\textsubscript{80}Fe\textsubscript{20} | MBE | 9/5 | RT | 0.9 | | | [64] |
| (Bi\textsubscript{0.5}Sb\textsubscript{0.5})Te\textsubscript{3}/Te/Ni\textsubscript{80}Fe\textsubscript{20} | MBE | 9/4/5 | RT | 2.36 | | | [64] |
| (Bi\textsubscript{0.5}Sb\textsubscript{0.5})Te\textsubscript{3}/Al/Ni\textsubscript{80}Fe\textsubscript{20} | MBE | 9/3/5 | RT | 0.08 | | | [64] |
| (Bi\textsubscript{0.5}Sb\textsubscript{0.5})Te\textsubscript{3}/Al/Ni\textsubscript{80}Fe\textsubscript{20} | MBE | 9/6/5 | RT | 1.71 | | | [64] |
| (Bi\textsubscript{0.5}Sb\textsubscript{0.5})Te\textsubscript{3}/Ag/Ni\textsubscript{80}Fe\textsubscript{20} | MBE | 9/2/3 | RT | 5.71 | | | [64] |
| (Bi\textsubscript{0.5}Sb\textsubscript{0.5})Te\textsubscript{3}/Ag/Ni\textsubscript{80}Fe\textsubscript{20} | MBE | 9/7/5 | RT | 2.83 | | | [64] |
| Bi\textsubscript{2}Se\textsubscript{3}/CoFeB | MBE | 5–10QL/5 | RT | 1.2–26 | | | [28] |
| \( \alpha \text{-Sn}/Ag/NiFe \) | Sputtering | 6/2/20 | RT | 27 | | | [81] |
| Sb\textsubscript{2}Te\textsubscript{3}/Au/Co/Au | MOCVD | 30/5/5/5 | RT | 0.834 | 0.28 | | This work |
| Sb\textsubscript{2}Te\textsubscript{3}/Au/Co/Au | MOCVD | 30/5/5/5 | RT | 0.6/0.38 | 0.39/0.61 | | This work |

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same setup used for MC studies, and $V_{SP}$ is the voltage that is generated across the sample purely due to the SP from Co into the Sb$_2$Te$_3$ layer. The $V_{SP}$ is obtained from the generated transverse mixing voltage $V_{mix}$, being the quantity directly accessible in a SP-FMR experiment (Figure 6c in the Experimental Section). The first step is therefore to fit the detected $V_{mix}$ with Equation (4).

$$V_{mix} = \frac{\Delta H^2}{\Delta H^2 + (H - H_{res})^2} + V_{asym} \frac{\Delta H (H - H_{res})}{\Delta H^2 + (H - H_{res})^2}$$

(4)

where $V_{sym}$ and $V_{asym}$ are the symmetric and anti-symmetric Lorentzian functions, respectively. $H_{res}$ is the value of the magnetic field at the resonance and $\Delta H$ is in this case the half-width at half-maximum. From the SP theory, the symmetric Lorentzian extracted from the fit in Equation (4) can be originated only from the SP contribution to the $V_{mix}$ curve, and ideally $V_{sym} = V_{SP}$. However, this term could also contain the thermal Seebeck effect,

and in order to extract the pure SP contribution, $V_{SP}$ is typically obtained through Equation (5).

$$V_{SP} = \frac{V_{sym} (+H_{res}) - V_{sym} (-H_{res})}{2}$$

(5)

The so-called “spin rectification terms” contribute to the $V_{asym}$ part, being originated from the anisotropic magnetoresistance and anomalous Hall effect in the Au/Co/Au trilayer.

The adopted fitting procedure of the SP-FMR data are reported in Figure S7, Supporting Information, for an Au(5 nm)/Co(5 nm)/Sb$_2$Te$_3$/Si(111) stack. Here, the $\alpha_{S3}$ value, when compared to $\alpha_{S1}$ and $\alpha_{S2}$, is due to the lower quality of the Co layer, since no capping layer is employed in S3.

To assess the intrinsic role played by Sb$_2$Te$_3$ in boosting the S2C conversion efficiency, the set of samples listed in Table 2 is specifically synthesized. Indeed, to isolate the contribution purely due to Sb$_2$Te$_3$ to S2C conversion, the growth of the Au/Co/Au FM stack must be conducted on top of both Sb$_2$Te$_3$ and a reference Si(111) substrate simultaneously. This is the only way to quantitatively compare the samples, excluding any potential different aging effect that could take place with and without the Sb$_2$Te$_3$. The choice of 5 nm-thick Co layers is motivated by the need to compare with the current literature reporting on S2C interconversion phenomena in TIs-based systems, where the thickness of the FM layer is typically below 10 nm.

Moreover, a 5 nm-thick Co layer allows clear signals in both BFMR and SP-FMR configurations, which we compare here, to get a comprehensive picture of the S2C conversion occurring in our systems.

SP-FMR experiments are conducted on all the samples listed in Table 2 by using an RF-power of 132 mW and RF-frequency of 10.5 GHz. Figure 3a shows the $V_{mix}$ acquired for sample S1 (red dots), together with the FMR signal for the same sample (black triangles), clearly showing the link between the detected $V_{mix}$ and the FMR response of the system. According to the SP theory, by reversing the direction of the applied magnetic field, the DC voltage relative to the SP contribution must change the sign. This is observed for all the samples in Table 2, with Figure 3b showing the case of sample S1.

Figure 3c summarizes the $(V_{mix} - V_{asym})/WR$ curves for all the samples in Table 2, and the extracted $J_{D}^{2D}$ values (from Equation (3)) are depicted in Figure 3d and listed in Table 2. As expected, in our measured $J_{D}^{2D}$ there is a certain contribution from Au, as demonstrated by the different $J_{D}^{2D}$ detected in S2 and S3. Nevertheless, the presence of Sb$_2$Te$_3$ in sample S1 provides a gigantic extra contribution to the S2C conversion, with a 250% enhancement when compared to the reference S2 sample.

The different $J_{D}^{2D}$ values obtained in samples S2 and S3 indicate that the spin current $J_{D}^{2D}$ is simultaneously pumped from Co in both the Au layers. Thus, most likely, in sample S1 the spin current pumped into the Au capping layer is reflected at the Au/air interface and then partially absorbed by the Sb$_2$Te$_3$ substrate. Considering that $\lambda_{c}$ for Co and Au is $\approx$10 and $\approx$35 nm, respectively, a tentative sketch of the $J_{D}^{2D}$ scheme in S1, S2, and S3 is depicted in Figure 4. Here, the $J_{D}^{2D}$ backflows at the Au/Sb$_2$Te$_3$ and Au/Si(111) interfaces, are not considered.

In the case of sample S3, the larger $\Delta H_{res}$ (175 ± 3 Oe) when compared to both S1 (86.5 ± 0.8 Oe) and S2 (75.5 ± 2.6 Oe), is attributed to the partial Co oxidation due to air exposure. This induces additional structural and magnetic disorder that reflects into a higher magnetic damping.

### 2.4. S2C Conversion Efficiency in Au/Co/Au/Sb$_2$Te$_3$ Stacks

Our main interest is now to translate the observed additional giant 250% increase in the SP contribution due to Sb$_2$Te$_3$ (Figure 3d and Table 2), into S2C conversion efficiency. Univocally separating the contribution to $V_{SP}$ arising from bulk inverse spin–Hall effect (ISHE) and interface IEE is challenging. On the other hand, the simultaneous occurrence of the following experimental evidences: i) successful SP-FMR signal only measured when an Au interlayer is employed (see Figure 3 and Figure S9, Supporting Information); ii) ARPES detection of TSS at the surface of Sb$_2$Te$_3$ at RT; iii) 2D-transport in Sb$_2$Te$_3$ demonstrated by MC measurements (Figure S2, Supporting Information), strongly supports the S2C as intimately occurring through the TSS, with the IEE being therefore the
An alternative interpretation of the S2C conversion in terms of ISHE is given in the Supporting Information. Within IEE, the conversion figure of merit is

$$
\lambda_{IEE} = \frac{2J_{CD}}{J_{SD}^3}.
$$

In order to extract the pure contribution due to the Sb$_2$Te$_3$, the $g_{\text{eff}}$ required to calculate $J_{SD}$ through Equation (2), must be obtained by considering the additional damping observed in S1 when compared to the reference S2, that is, the additional contribution purely originating from the presence of Sb$_2$Te$_3$.

In our opinion, the first approach (Equation (6)(∙)) is the most accurate since $\alpha$ can be obtained from a linear fit of the FMR broadening change as a function of the resonance frequency, while the second approach (Equation (6)(∙∙)) only considers the difference of the FMR signal broadening.

Figure 3. a) SP DC voltage signal for sample S1 acquired at $f = 10.5$ GHz (red circles). The FMR signal at the same resonance frequency is acquired (black triangles), showing the match between the two signals. b) The same SP measurement reported in (a) is performed also for negative values of the external magnetic field. Here, it is evident as the asymmetric component $V_{\text{sym}}$ does not depend on the sign of the magnetic field, which is typical for rectification effects due to AMR and AHE. On the other hand, the symmetric component $V_{\text{sym}}$ changes sign upon magnetic field reversal, indicating a magnetic-field dependent spin accumulation. The latter condition is in accordance with SP effects. c) $V_{\text{mix}}$ vs $V_{\text{shunt}}$ signal acquired for samples S1 (black dots), S2 (blue squares), and S3 (green triangles), normalized to the R and W values for each sample. d) 2D charge current density ($J_{CD}$) extracted from the $V_{\text{sym}}$ component of the $V_{\text{mix}}$ signals reported in (a) and calculated using Equations (3) and (5).

Figure 4. Pictorial view of the generated $J_{SD}$ current flows in the a) S1, b) S2, and c) S3 samples during the conducted SP-FMR experiments.
23 emu are extracted. From the latter values 23 GHz, which provides a frequency of 10.5 GHz, this aspect is directly involved in the calculation of the g-factor and the inhomogeneous broadening (ΔH\text{g2}). In fact, the FMR measurements have been typically conducted by adapting cavity electron paramagnetic resonance facilities, with a single RF excitation frequency.[60] It is also not uncommon to see reports of S2C efficiencies extracted from samples having a single FM thickness, and measurements based on a single frequency.[70,71]

In the following, we extract λ\text{IEE} with both approaches. Figure 5a shows the evolution of the f\text{res}(H\text{res}) curves measured in S1 and S2 and fitted with the Kittel equation for the IP configuration, from which we obtain: $M_{g1}^{S} = 603 \pm 46 \text{ emu cm}^{-1}$, $g_{S1}^{S} = 2.64 \pm 0.08$, $M_{g2}^{S} = 653 \pm 29 \text{ emu cm}^{-1}$, $g_{S2}^{S} = 2.20 \pm 0.04$.

From the linear best-fit of the FMR signal linewidth as a function of the resonant frequency reported in Figure 5b, $\alpha_{S1}^{\text{S}}$ = (25.5 ± 0.6) \times 10^{-3}$ and $\alpha_{S2}^{\text{S}}$ = (20.3 ± 0.2) \times 10^{-3} are extracted. According to Equation (6)(∙), these values give $g_{D1}^{S}\text{SbTe}_3 = 8.34 \times 10^{18} \text{ m}^{-2}$, which from Equation (2) provides $J_{S}^{10-\text{SbTe}_3} = 6.4 \times 10^{5} \text{ A m}^{-2}$ as the pure accumulation due to the presence of SbTe3 in S1. By considering the $J_{S}^{B}$ measured for S1 (Table 2), a $\lambda_{\text{IEE}} = 0.28$ nm value is finally calculated. We now follow the methodology expressed in Equation (6)(∙∙). In particular, we consider the $\Delta H_{\text{g1}} - \Delta H_{\text{g2}} = 11$ Oe value extracted from the SP experiment at the chosen frequency of 10.5 GHz, which provides a $g_{S1}^{S,\text{skTe}_3} = 6 \times 10^{18} \text{ m}^{-2}$ (Equation (6)(∙∙)) and, from Equation (2), $J_{S}^{10-\text{skTe}_3} = 4.6 \times 10^{5} \text{ A m}^{-2}$, finally resulting in $\lambda_{\text{IEE}} = 0.39$ nm. However, if this single frequency approach described by Equation (6)(∙∙) is applied for the FMR signal for the same fixed RF frequency of 10.5 GHz and considering the $\Delta H_{\text{IP}}$ as the correct value for the FMR signal linewidth, $g_{S1}^{S,\text{skTe}_3} = 3.8 \times 10^{18} \text{ m}^{-2}$ and $J_{S}^{10-\text{skTe}_3} = 2.9 \times 10^{5} \text{ A m}^{-2}$ are extracted. From the latter values $\lambda_{\text{IEE}} = 0.61$ nm is then calculated.

The difference in the obtained $\lambda_{\text{IEE}}$ values by following the approaches of Equation (6)(∙) and (∙∙), is relevant (Table 1). This difference underlines the importance of establishing a common way of reporting S2C conversion efficiencies as measured through SP-FMR. In fact, this represents a necessary step to reliably compare similar FM/(HM, TIs) systems. Moreover, the fitting procedure of the SP-FMR data is not the only controversial aspect that strongly influences the S2C efficiency estimation. As previously pointed out, the FMR signal can be affected by a relevant inhomogeneous broadening contribution, for instance, due to magneto-structural disorder (i.e., magnetic dead layers, presence of different polymorphs in the same FM layer, magnetic roughness) or due to the presence of TMS,[43] revealing that the FMR signal linewidth is not always reflected in an effective SP response. As it follows from Equation (6), this aspect is directly involved in the calculation of $J_{S}^{B}$. Commonly, the subtraction of a proper reference is the only adopted method, and thus considered effective in eliminating all the spurious contributions to the linewidth broadening. Nevertheless, some of us have demonstrated that the substrate selection has an important role in governing the magneto-structural properties of a FM thin film, suggesting that unwanted inhomogeneous contributions to the linewidth can be overlooked.[21] In our system, the Co layer is deposited simultaneously on top of the Au interlayer in both the S1 and S2 samples and the XRR measurements show a high-quality Au/SbTe3 interface (Figure S6, Supporting Information). In our opinion, these aspects are a reliable strategy to validate the use of the reference subtraction method to extract S2C efficiency. Also based on the latter considerations, as recently reported by Nakahashi et al., a more direct and affordable strategy is to measure the $\Delta H_{f_{\text{res}}}$ curve evolution directly from the SP signal.[73]

Table 1 reports a collection of relevant $g_{S1}^{S}$ and $\lambda_{\text{IEE}}$ data as obtained by FMR-based methods for heterostructures including the second generation of chalcogenide-based 3D-TIs, strained $\alpha$-Sn and HgTe, and a selection of HM. The different methods used to interpret the FMR data (Equation (6)(∙) versus (∙∙)) are also indicated, with the aim to highlight the need of a standardized procedure of data reporting.

If we consider the RT $\lambda_{\text{IEE}}$ value extracted with the single-frequency approach, the measured $\lambda_{\text{IEE}} = 0.61 \text{ nm}$ value is, to our knowledge, higher than any other reported S2C conversion efficiency in the second generation of chalcogenide-based TIs (i.e., Bi2Se3, Bi2Te3, and Sb2Te3), and lower only than those reported for the strained TIs $\alpha$-Sn[60] and HgTe[78] (Table 1). The
lower limit $\lambda_{\text{IEE}} = 0.28 \text{ nm}$ is at least of the same order of magnitude (and often higher) of those observed in 3D-TIs produced by MBE or sputtering (Table 1), thus proving the suitability of MOCVD to produce high performing TIs on large-area Si substrate. When compared to the higher S2C efficiency reported for $\alpha$-Sn$^{[26]}$ and HgTe$^{[78]}$, we underline that the appearance of TSS in the second generation of 3D-TIs, such as Sb$_2$Te$_3$, do not require strain engineering, thus allowing their integration on silicon-based technologies. According to the obtained $\lambda_{\text{IEE}}$ values, the system here presented may be of interest in the development of magnetoelectric spin–orbit logic devices.$^{[82]}$

The key to understanding the origin of this very large S2C efficiency may lie in the structure and morphology of our Sb$_2$Te$_3$ layers grown by MOCVD. Recent works have discussed the influence of grain size and grain boundaries in the S2C conversion in Bi$_2$Se$_3$-based heterostructures as probed by SP-FMR.$^{[17,32,69,83]}$ Interestingly, the granular Bi$_2$Se$_3$ has been shown to be more efficient in terms of S2C conversion, with a $\lambda_{\text{IEE}}$ being three times higher than in crystalline Bi$_2$Se$_3$.$^{[17]}$ As shown by transmission electron microscopy, even though our optimized Sb$_2$Te$_3$ layers develop an epitaxial nature character, several grain boundaries are still present.$^{[21]}$ In particular, our films are highly ordered and made by compact Sb$_2$Te$_3$ crystalline grains with an average diameter that can be estimated between 15 and 20 nm, see Figure S8, Supporting Information. These grain boundaries may locally influence either the $j_{z,2}^{\alpha} \rightarrow j_{z,2}^{\alpha'}$ conversion (i.e., SP) and the subsequent longitudinal transport through the TSS. According to Ref. [17], this may be a possible origin of the observed large $\lambda_{\text{IEE}}$. This fundamental aspect could be investigated by studying $\lambda_{\text{IEE}}$ for different Sb$_2$Te$_3$ thicknesses, even if the tuning of the Sb$_2$Te$_3$ thickness through the developed MOCVD process is not straightforward.$^{[21]}$

Certainly, there is a fundamental role played by the Au interlayer in the observed large $\lambda_{\text{IEE}}$ (see Figure S9, Supporting Information). Several groups have already tried to decouple the FM/TIs interface by introducing an interlayer. For instance, in the seminal work of Rojas–Sanchez et al. (2016)$^{[26]}$ the introduction of an Ag interlayer in the Au/Fe/Ag/$\alpha$-Sn structure has been proven to effectively enhance the S2C efficiency by reaching $\lambda_{\text{IEE}} = 2.1 \text{ nm}$, as extracted from SP measurements at RT. More recently, the thorough study of the S2C conversion efficiency on the spin–orbit torque response in different Py/Interlayer/(Bi,Sb)$_2$Te$_3$ systems has been reported by F. Bonell et al.$^{[64]}$ where the introduction of different metallic spacers (i.e., Te, Ag, Al) has been shown to be effective in largely enhancing the S2C efficiency as due to the suppression of the interface intermixing and band-bending. Specifically, by following an accurate chemical-structural description of the Py/Interlayer/(Bi,Sb)$_2$Te$_3$ interfaces, they have evidenced criticalities concerning the Te out-diffusion from (Bi,Sb)$_2$Te$_3$. In our previous works,$^{[84,85]}$ we have reported very similar arguments for what concerns the Te interdiffusion in Fe/Sb$_2$Te$_3$ heterostructures, where a “FeTe” type of bonding at the interface is highly favored. Being FeTe a paramagnetic compound, it could hinder any S2C conversion effect at the interface, or at least largely limit the efficiency of such conversion. As a matter of fact, this is one of the main motivations for our choice of a 5 nm Au buffer layer at the Co/Sb$_2$Te$_3$ interface. The Au interlayer efficiently suppresses several detrimental effects at the Co/Sb$_2$Te$_3$ interface, the main one being certainly the TMS (Figure 2).

The transport properties of the TSS for several free-standing TIs can be studied by different techniques such as ARPES and scanning tunnel microscopy (STM).$^{[26,86]}$ According to the calculation carried out by Fert and Zhang in Ref. [87], the $\lambda_{\text{IEE}}$ can be written as the product $\lambda_{\text{IEE}} \equiv v_{f} \tau_{p}$, where $v_{f}$ is the Fermi velocity and $\tau_{p}$ is the momentum relaxation time, which accounts for the electronic scattering in the TIs bands. The $\lambda_{\text{IEE}}$ can be considered as equivalent to the longitudinal mean free path at the metal-TIs interface. The obtained $\lambda_{\text{IEE}} = 0.61 \text{ nm}$ can be regarded as the upper limit for the electronic ballistic transport across the Au/Sb$_2$Te$_3$ interface. This value is lower than those reported for free-standing Sb$_2$Te$_3$ surfaces, where several tens of nanometers have been reported (as in Ref. [86]). In the latter work, a Fermi velocity of $v_{f} = 4.3 \times 10^{5} \text{ m/s}$ has been extracted for the TSS of a crystalline Sb$_2$Te$_3$ thin film, as measured by STM measurements. Assuming $\lambda_{\text{IEE}} = 0.61 \text{ nm}$, we can extract $\tau_{p} = 1.7 \text{ fs}$. On the other hand, the presence of the additional Au layer in contact with Sb$_2$Te$_3$, could introduce additional relaxation mechanisms for the Sb$_2$Te$_3$ TSS, which can be at the origin of the discrepancy between the mean free path in the Sb$_2$Te$_3$ layer, when measured through STM or SP-FMR. As suggested in Refs. [26,64], the use of an insulating interlayer in place of a metallic one could solve this problem, preserving more efficiently the TSS and consequently further improving the $\lambda_{\text{IEE}}$ value. However, the use of an insulating layer as a spacer between the FM and the TI layers to preserve the TSS still represents an open issue. Indeed, for instance, in Ref. [32], a 2 nm MgO interlayer has been used to demonstrate the suppression of the SP pumping signal, as compared to the same system without interlayer.

3. Conclusion

RT SP-FMR is successfully employed to measure the S2C conversion occurring in the large-area Sb$_2$Te$_3$ TI produced by MOCVD on 4” Si(111) wafers. An inverse Edelstein Effect length $\lambda_{\text{IEE}}$ from 0.28 up to 0.61 nm has been measured, and the two values being the outcome of commonly used different methodological analysis. Even the lower observed value is at least comparable (and often larger) than those previously reported in chalcogenide-based 3D-TIs produced by sputtering or MBE. Our results constitute a “year zero” for the use of chemical methods to fabricate TIs for highly efficient S2C converters, providing a milestone toward the future realistic technology-transfer. To our knowledge, this is also the first report of spin pumping in the binary Sb$_2$Te$_3$. A further improvement of the observed S2C conversion performances could be achieved by manipulating the Fermi level with appropriate material engineering.$^{[14]}$ Our results also point out the need to standardize the reporting of S2C conversion efficiency as probed by SP-FMR. While our manuscript was under review a paper reporting SP-FMR in Sb$_2$Te$_3$ grown by MBE has been published, with a measured lambda-IEE of about 0.28 nm$^{[88]}$ in perfect agreement with our results.
4. Experimental Section

Sb$_2$Te$_3$ thin films with a nominal thickness of 30 nm were deposited at RT by MOCVD on 4" intrinsic Si(111) wafers (resistivity > 10,000 Ωcm) exploiting an AIXTRON 200/4 system, operating with an ultra-high pure Nitrogen carrier gas and equipped with a cold wall horizontal deposition chamber accommodating a 4" IR-heated graphite susceptor (Figure S1, Supporting Information). In order to promote an epitaxial order, the Sb$_2$Te$_3$ films were subjected to specific in situ thermal treatments. [21]

The Au(5 nm)/Co and Au(5 nm)/Co/Au(5 nm) capping layers were prepared by e-beam evaporation on pre-cut $=1 \times 1$ cm$^2$ Sb$_2$Te$_3$ pieces using an Edwards Auto306 facility, producing Au(5 nm)/Co(t)/Sb$_2$Te$_3$ and Au(5 nm)/Co(t)/Au(5 nm)/Sb$_2$Te$_3$ heterostructures, with the nominal thickness (t) within the 2–30 nm range (Figure 6a).

The BFMR and SP-FMR experiments were conducted using a homemade setup as depicted in Figure 6b, where the sample was positioned between the polar extensions of a Bruker ER-200 electromagnet, maintaining its surface parallel to the external magnetic field ($H_{ext}$) in the so-called “flip-chip” configuration for IP measurements. [89] To induce an oscillating magnetic field in the FM layer, the sample was fixed on a custom GCPW (Figure 6b,c) connected to a broadband Anritsu RF-source (Figures S3 and S4, Supporting Information). The FMR signal for a fixed RF frequency was performed by measuring the derivative of the absorption power downstream of the electrical transmission line as a function of $H_{ext}$ through a lock-in amplifier (Figure 6b). In the SP-FMR experimental configuration, the sample edges were connected to a nano-voltmeter with Ag wires soldered with Ag paint and a voltage signal ($V_{mix}$) was measured as a function of $H_{ext}$ (Figure 6c). In Figure 6d, an example of the FMR (black triangles) and SP-FMR (red dots) signals detection as recorded in an Au(5 nm)/Co(20 nm)/Au(5 nm)/Sb$_2$Te$_3$ sample at 8.5 GHz, is reported. The two signals were revealed simultaneously and resonated perfectly at the same external magnetic field, demonstrating the correlation between the occurring physical effects.

Supporting Information

Supporting Information is available from the Wiley Online Library or from the author.

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Conflict of Interest

The authors declare no conflict of interest.

Author Contribution

E.L. and M.B. developed the BFMR and SP-FMR set-up. E.L conducted all the BFMR, SP-FMR, and XRR measurements, and performed the analysis of the FMR data with the assistance of M.B. M.A.
conducted the evaporation of all the Au/Co-based heterostructures. M.R. and R.C. conducted the growth of the Sb$_2$Te$_3$ layers under the supervision of M.L. C.W. contributed to the XRR data analysis. L.L. did the MC and R measurements. P.T. and A.D. performed ARPES. G.G. conducted BLS on selected samples. M.F. supervised the FMR measurements. R.M. conceived the experiments and coordinated the research activity. E.L. and R.M. wrote the manuscript. All authors discussed the results and reviewed the manuscript and the Supporting Information.

Data Availability Statement

The data that support the findings of this study are available from the corresponding author upon reasonable request.

Keywords

Edelstein effect, ferromagnetic resonance, metal-organic chemical vapor deposition, spin pumping, spintronics, two-magnon scattering

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